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### Abstract

This paper analyses the behaviour of real interest rates in the Spanish economy over the last 15 years. Since inflation-indexed-bonds are not available, changes in implicit real interest rates are estimated using several approaches suggested by macroeconomic and financial theory. In particular, we employ equilibrium conditions of a representative agent under several specifications of preferences. Moreover, we exploit no-arbitrage conditions in securities markets. The evidence we report indicates that inflation uncertainty could account for a notable part of the observed decrease in nominal rates. Consequently, the actual real cost of financing might have decreased significantly less than what the course of ex-post real rates would suggest.

JEL: E43, G12

Keywords: real interest rates, intertemporal marginal rate of substitution

### 1 Introduction

One of the most relevant developments in the Spanish economy over the last 15 years has been the sharp reduction in nominal interest associated with the process of nominal convergence and EMU membership. Although inflation rates have also declined substantially over the same period, inflation-adjusted interest rates -often called ex-post real rates- have fallen by almost 10 percentage points since 1990 (see Graph 1). Clearly, using this variable as an indicator of the cost of capital for domestic agents, we can identify a huge reduction in financing costs and expect a substantial impact on agents' real and financial decisions.

Indeed, the Spanish economy has experienced significant transformations in the recent past which are all consistent with a substantial reduction in financial costs. In particular, in 2005 the household saving ratio was around four percentage points lower than the average over the first half of the previous decade. The debt of the private non-financial sector has risen to 160% of GDP, more than twice the 1995 ratio. In addition, the economy has recently witnessed a substantial real-estate boom which has led housing prices to increase by more than 100% in real terms since 1997. Finally, economic activity –heavily supported by domestic demand– has increased markedly in the last few years, with GDP growth averaging more than 3.5% since 1999<sup>1</sup>.

Still, estimating the impact of lower interest rates on agents' balance sheets and associated macroeconomic developments is not an easy task. For one thing, the economy has also faced other relevant structural changes. In particular, some labour market reforms and intensive immigration flows have reduced supply-side rigidities and contributed to substantial employment creation. These developments, together with the consolidation of an environment of macroeconomic stability within EMU, have prompted an upward revision of consumers' permanent income and reduced investors' uncertainty. Like low interest rates, these structural factors contribute to higher expenditure propensity and demand for financing.

Moreover, the measure of the actual cost of capital is not straightforward. Agents typically have access to different financing instruments whose relative value may not be stable over time. Yet conceivably, changes in the real return on a riskless asset are a good proxy for changes in the remuneration of capital (or the cost of debt), as that variation should also be reflected –in equilibrium– in the return on any other asset whose risk class remains unchanged. Inflation-indexed government bonds provide a good measure of these genuine riskless real interest rates but they are not available in many countries. Real interest rates are then often proxied by inflation-adjusted nominal interest rates. We know, however, that the ex-post real interest rate is only the real return on an asset -such as a non-indexed Treasury bond or bill- which is typically riskless in nominal terms but not in real terms. According to the Fisher equation, ex-post real rates only provide an accurate proxy to the actual real interest

<sup>1.</sup> See Malo de Molina and Restoy (2005) for an analysis of the main financial developments affecting the Spanish economy.

rate (i.e. the real return on a riskless security) if ex-post inflation does not differ much from expected inflation and the inflation risk premium is small. This means that, in stable economies where inflation does not show much volatility and remains close to a relatively low figure most of the time, average ex-post real rates over a certain period represent in that case a reasonably good approximation to the average actual real interest rate.

Spain, however, cannot be presented as an economy with a stable macroeconomic regime during the 1990s. The economy underwent a very significant transformation, going from a period of exchange rate instability, large public deficits and high inflation at the beginning of the last decade of the 20th century to a new regime characterised by EMU membership, fiscal surpluses and moderate inflation. Moreover, the regime shift was not a gradual, predetermined process but a sinuous road whose end-point did not become certain until almost mid-1998. Therefore, it is very likely that the course of inflation expectations was substantially driven by the probability attached to a scenario of unsuccessful nominal convergence -which did not materialise- thereby creating a peso problem. At the same time, there are good reasons to believe that ex-post real rates during much of the previous decade incorporated a compensation for uncertain inflation. This means that the observed decline of ex-post real interest rates could be at least partially explained by overly pessimistic inflation expectations during the first half of the decade and by a decrease in the inflation risk premium as the economy approached EMU. This would mean that the low level of ex-post rates today reflects, at least to some extent, a higher predictability of inflation and lower inflation risk. That would, in turn, imply that the decrease in the actual real cost of capital could have been lower than suggested by the course of ex-post real rates.

There are, however, a number of difficulties in estimating directly the contribution of changes in the inflation regime to the observed course of ex-post real rates in Spain. In particular, inflation-indexed bonds have never been traded and there is no reliable series of inflation expectations at different horizons. We must therefore rely on economic and financial theory to derive implicit real interest rates. One possibility is to exploit international data to conjecture about domestic real rates in a world of capital market integration. At the same time, we can make use of intertemporal equilibrium conditions of representative domestic consumers or producers to obtain interest rates implicit in estimates of marginal rates of substitution or transformation. The problem with these approaches is that we have to rely on relatively strong assumptions such as the absence of obstacles to capital mobility and liquidity constraints or a concrete specification of technology or preferences.

More hopeful, probably, is the use of financial market data to price –or to approximate the prices of– real riskless bonds using non-arbitrage conditions. For example, the approach suggested by Hansen and Jagannathan (1991) allows mean-variance frontiers to be derived for a common stochastic discount factor for future payoffs which is, of course, linked to the average implicit riskless rate. More promising, however, is the recent contribution by Flood and Rose (2005), which derives implicit riskless rates in non-arbitrage economies by exploiting the idiosyncratic risk of the securities traded in the financial markets.

In this paper we obtain some evidence on the course of real interest rates in Spain since the beginning of the 1990s by combining several macroeconomic and financial approaches. Our analysis is based on two sub-samples. The first sub-sample covers the pre-EMU period (1990 to 1998), whereas the second is the EMU period (1999 to 2005). Our goal is to test weather average actual real interest rates have fallen between these two sub-periods as much as suggested by inflation adjusted interest rates.

The rest of the paper is organised as follows. In the second section we analyse foreign interest rate data, and exploit several specifications of preferences and technologies to derive equilibrium conditions for domestic real interest rates. In the third section we analyse the extent to which Hansen-Jagannathan frontiers can help us to learn how much real interest rates have fallen in the last few years. We then ask the same question by exploiting the Flood and Rose (2005) approach. Section 4 concludes.

#### 2 The macroeconomic approach

As a starting point, it is useful to analyse international evidence on short-term interest rates. Assuming that capital markets are integrated, one should expect real short term rates not to diverge much across countries. It is therefore potentially helpful to use as a reference for Spanish real interest rates those of countries where this variable can be measured more accurately. This is the case of markets where there has long been an active market for inflation-indexed government bonds (as in the UK) and of countries where the relative stability of the inflation regime makes ex-post real rates a reasonable proxy for the actual riskless rate (as in Germany and, to a lesser extent, the United States).

Table 1 presents average three-month inflation-adjusted interest rates for Germany, the UK and the United States, along with average 10-year indexed-bond yields for the UK. We present evidence for two periods: i) 1990-1998 and ii) 1999-2005. As can be seen, the actual level of average ex-post real rates differs somewhat across countries. However, the difference between periods is remarkably similar across countries, with the exception of Spain. For Germany, the United States and the UK, average ex-post real rates have declined somewhere between 1 1/2 and 1 3/4 percentage points. In Spain, however, the decrease is much sharper (more than 5 percentage points), thereby pointing either to a radical failure of the capital market integration hypothesis or to a mismeasurement of the actual decline in the riskless real interest rate in the Spanish case. The first hypothesis is, however, very unlikely. During the nineties there were not significant barriers to cross-trading within national debt markets in Europe. Indeed, non-residents held, on average, almost one fifth of the outstanding stock of the Spanish government debt market between 1990 and 1998.

Another possibility is to exploit intertemporal equilibrium relations for domestic producers and consumers. For example, one traditional rule of thumb is to set equilibrium real rates equal to potential output growth. Potential growth actually increased in Spain during the nineties, due essentially to higher employment and participation rates. According to various estimates, average potential GDP growth was about 0.5% higher in the period 1999-2005 than in the period 1990-1998<sup>2</sup>. A more refined measure could be a proxy for the marginal productivity of capital. According to Banco de España's internal estimates, the average ratio of Gross Value Added to the capital stock in the manufacturing sector actually went down from 1999, in comparison with the first period, by an amount close to 1.3%, a similar figure to that found for the decline in ex-post real rates in other countries.

Looking at the intertemporal marginal rate of substitution (IMRS) of a representative Spanish consumer, we could also derive a measure of equilibrium real interest rates. More specifically, we know from the first order equilibrium conditions of a representative agent that  $E(m) = (1 + r)^{-1}$ , where m is the IMRS and r is the actual real interest rate. In Table 2 we

<sup>2.</sup> See, for example, Denis et al (2006).

provide the average implicit interest rate derived from this expression for several specifications of preferences. All data are drawn from Spain's Quarterly National Accounts.

Using first the standard isoelastic CRRA utility function, we find that average implicit real interest rates would have gone up and not down in the second sub-period for any reasonable value of the risk aversion parameter. This is not surprising as the IMRS is, in this case, a monotonic positive transformation of consumption growth and this has been, on average, almost 1% higher in the second sub-period. Using some form of multiplicative or additive external habits does not change the picture much. For plausible parameters, the average implicit real interest rate becomes either larger or, at most, slightly smaller in the second sub-period.

We have also checked whether non-separable preferences between consumption and leisure could provide somewhat different results. Indeed, as employment ratios have increased markedly in Spain in the recent past, one could conjecture that this might compensate the positive effect of consumption growth on the marginal rate of substitution. Indeed, using the KPR preferences<sup>3</sup> we find that the implicit risk-free rate falls in the second sub-period for high values of the elasticity of intertemporal substitution. But the maximum decrease we obtain is, for sensible parameter values, still less than 2%. This is a figure which lies well below the observed fall in ex-post real rates in Spain, although it is in line with that found in other countries. Therefore, these results suggest that most of the large fall in ex-post real interest rates in Spain cannot be explained by the main economic determinants of the actual real interest rate. This indicates that a significant part of the decline of the ex-post real interest rates could well be due to both expectational errors on inflation (i.e. realised inflation was lower than expected inflation) during the pre-EMU period and by the decrease in the inflation risk premium.

<sup>3.</sup> See King, Plosser and Rebelo (1988).

#### 3 The finance approach

In Section 2 we have made use of equilibrium conditions of a representative agent. This analysis requires relatively strong assumptions on specific features of the economy, such as preferences, technology and the ability of agents to design intertemporal consumption and investment plans. A more robust approach is to exploit pure non-arbitrage conditions in financial markets. These conditions imply that all securities should be priced by applying a positive stochastic discount factor to their future payoffs. The stochastic discount factor –which in equilibrium models would be equivalent to the IMRS of the representative agent– is directly linked to the return on a riskless security. (see, for instance, Huang-Litzenberger, 1988). Obviously, the exact identification of the stochastic discount factor that prevents arbitrage opportunities is not possible as markets are, in practice, incomplete, and also because econometricians can normally play only with a limited set of financial instruments. There are some methods, however, that can be used to extract some helpful information.

#### 3.1 The Hansen-Jagannathan frontier

Hansen and Jagannathan (1991) derive regions for the admissible mean-standard deviation pairs for the IMRS with the sole assumption that markets are free of arbitrage opportunities. The expression for the standard deviation bound is given by:

$$\sigma(m) = [(E(p) - E(m)E(x))'\Sigma^{-1}(E(p) - E(m)E(x))]^{1/2}$$
(1)

where p is the vector of security prices, x is the vector of payoffs,  $\Sigma$  is the variancecovariance matrix of payoffs and E() is the unconditional expectation operator. It is apparent from expression (1) that to compute the HJ frontier we only need securities market data.

Note that, by restricting the standard deviation of the IMRS to a maximum level ( $\overline{\sigma}$ ), we can obtain a lower (E<sub>1</sub>) and an upper (E<sub>2</sub>) bound for the average level of the IMRSs (see Graph 2) and, implicitly, for the real interest rate (remember that,  $E(m) = (1 + r)^{-1}$ ).

In this section we use this approach to find bounds for the average level of the actual real interest rates. To do that we use monthly data for a sample of Spanish securities including 18 portfolios of stocks (10 size portfolios and 8 industry portfolios), 2 short-term securities with a time of 3 months and one year to maturity, respectively, and a portfolio of long-term debt.<sup>4</sup> Returns are computed in real terms (deflated by the Spanish CPI index) assuming a holding period of one month.

Graph 3 shows the HJ frontiers estimated for the periods 1990-96 and 1999-2005 using all securities in our dataset. We exclude from the analysis the years 1997 and 1998, which is an interim period where security prices are likely to incorporate already many of the relevant features of the monetary union regime. As can be seen in the graph, for reasonable values of the standard deviation, the ranges for the means of the IMRSs are relatively narrow

<sup>4.</sup> Annex 1 describes the composition of these portfolios and the computation of the monthly real returns.

in both periods and they do not overlap. In particular, the means of the IMRSs are higher in the second period, suggesting a fall in the average level of the real interest rate. Interestingly, the mid-point of the bound is similar to the level implied by the ex-post short-term real interest rates. However, as explained in the introduction, we suspect that this result might be contaminated by a *peso problem*. More specifically, if inflation expectations during the first period were systematically higher than observed inflation, the average ex-post return and, therefore, the inverse of the estimated mean of the IMRSs would be overstated.

Therefore, we repeat the same exercise excluding short-term securities but retaining longer-term fixed-income instruments. Graph 4 shows the results. We can see that the size of the region of the admissible pairs of mean and standard deviation of IMRSs increases dramatically for the two periods. Also, the two regions are now much closer compared with Graph 3. Thus, it is much harder to reject the hypothesis of equal average levels of real interest rates in the two periods. However, still in this case results can be contaminated by a *peso problem* since the cash flows associated with conventional bonds are fixed in nominal terms. Therefore, if inflation expectations were systematically higher than the realised inflation, the ex-post return would be overstated. This should not be the case, however, of stocks since the associated cash flows vary with realised inflation. Therefore, in this case the distribution of real returns should not be contaminated by the *peso problem*.

Graph 5 shows the estimated HJ frontiers using only the 18 portfolios of stocks. In this case the HJ frontiers are even closer, making it harder to reject the hypothesis that the average level of real interest rates is the same in the two periods. However, the size of the range is very large. Therefore, once we exclude fixed-income securities the average level of the real interest rate is estimated with high uncertainty.

#### 3.2 Exploiting the idiosyncratic risk

Given the uncertainty of the previous approach in estimating the average level of real interest rates, in this section we rely on an alternative approach recently proposed by Flood and Rose (2005, FR), which allows us to obtain point estimates for that variable as opposed to ranges.

FR consider the standard decomposition of the Euler equation:

$$p_t^j = E_t(m_{t+1}x_{t+1}^j) = COV(m_{t+1}, x_{t+1}^j) + E_t(m_{t+1})E_t(x_{t+1}^j)$$
(2)

where  $COV_t$ () and  $E_t$ () are, respectively, the covariance and expectations operators, both conditional on information available at t,  $m_{t+1}$  is the IMRS used to discount income accruing in period t+1, and  $p_t^j$  and  $x_{t+1}^j$  are, respectively, the price of asset j in period t and the payoff of that asset at time t+1. Equation (2) can be rewritten as

$$x_{t+1}^{j} = \delta_t (p_t^{j} - COV(m_{t+1}, x_{t+1}^{j})) + \varepsilon_{t+1}^{j}$$
(3)

where  $\varepsilon_{t+1}^j \equiv x_{t+1}^j - E_t(x_{t+1}^j)$  is a prediction error orthogonal to information at time t, and  $\delta_t \equiv 1/E_t(m_{t+1})$ . The standard approach in finance to make equation (3) stationary is to normalise by  $p_t^j$ . FR propose normalising by the systematic component of this price ( $\tilde{p}_t^j$ ), which is defined as the value of  $p_t^j$  conditional on idiosyncratic information available at t being set to zero.

$$x_{t+1}^{j} / \tilde{p}_{t}^{j} = \delta_{t} (p_{t}^{j} / \tilde{p}_{t}^{j} - COV(m_{t+1}, x_{t+1}^{j} / \tilde{p}_{t}^{j})) + \varepsilon_{t+1}^{j} / \tilde{p}_{t}^{j}$$
(4)

FR rewrite equation (4) as

$$x_{t+1}^{j} / \tilde{p}_{t}^{j} = \delta_{t} (p_{t}^{j} / \tilde{p}_{t}^{j}) + u_{t+1}^{j}$$
(5)

where  $u_t^j = \varepsilon_{t+1}^j / \tilde{p}_t^j - \delta_t COV(m_{t+1}, x_{t+1}^j / \tilde{p}_t^j)$ . They note that assuming that  $COV(m_{t+1}, x_{t+1}^j / \tilde{p}_t^j)$  moves only because of aggregate phenomena,  $\delta_t$  in (5) can be consistently estimated using either OLS or GMM.

FR propose the following two-step strategy to estimate  $\delta_t$ . In the first step they estimate the following J (the number of securities) time series regressions by OLS

$$\ln(p_t^j / p_{t-1}^j) = \alpha_0^j + \sum_{i=1}^N \alpha_i^j f_t^i + v_t^j$$
(6)

where  $f_t^i$  are a set of N aggregate factors and  $v_t^j$  is the residual, which captures the idiosyncratic part of asset price j return. Using estimated coefficients of regressions (6), the estimated systematic price is defined as

$$\hat{p}_{t}^{j} = p_{t-1}^{j} \exp\left(\hat{\alpha}_{0}^{j} + \sum_{i=1}^{N} \hat{\alpha}_{i}^{j} f_{t}^{i}\right)$$
(7)

In their empirical implementation, FR estimate regressions (6) using as factors the market-wide stock market return and the three Fama-French factors: the overall market return less the treasury-bill rate, the performance of small stocks relative to big stocks, and the performance of "value" stocks relative to "growth" stocks. In these time series regressions coefficients are estimated as fixed parameters using all the sample period.

In the second step they estimate cross-sectionally the following regressions for every period t

$$x_{t+1}^{j} / \hat{p}_{t}^{j} = \delta_{t} (p_{t}^{j} / \hat{p}_{t}^{j}) + u_{t+1}^{j}$$
(8)

FR note that using  $\hat{p}_t^j$  in place of the unobservable  $\tilde{p}_t^j$  might induce measurement error. Also the existence of a generated regressor in equation (8) might potentially understate the OLS standard errors. To handle both potential econometric problems, they estimate (8) using GMM. In these regressions variables are defined in nominal terms, whereby the parameter  $\delta_t$  is interpreted as the inverse of the expected nominal IMRS in period t. In this paper we employ the approach proposed by FR to test whether and by how much the average level of the real interest rate has fallen in the Spanish economy between the periods 1990-98 and 1999-2005. To do that we employ the 18 portfolios of stocks used to derive the HJ frontier. We estimate the time series regressions using only two factors: market-wide return and the performance of small stocks relative to big stocks. The former is the total return (including dividends) on the Madrid Stock Exchange General Index and the latter is the difference between the return on portfolios made up of securities in the decile of the smallest and largest stocks, respectively. Parameters are estimated using the last 60 monthly observations.

Unlike FR we are only interested in the average level of the real interest rates. In order to reduce noise we estimate the cross-section regression as a pool where the IMRS parameter is assumed to be fixed within the two periods of interest. More specifically, we estimate the following regression

$$x_{t+1}^{j} / \hat{p}_{t}^{j} = \delta_{1}(p_{t}^{j} / \hat{p}_{t}^{j}) + \delta_{2}(p_{t}^{j} / \hat{p}_{t}^{j})D99_{t} + u_{t+1}^{j}$$
(9)

where  $D99_{t}$  is a dummy variable which takes value 1 from January 1999. In regression (9) the payoffs  $x_{t+1}^{j}$  are deflated by the Spanish CPI. Therefore, parameters  $\delta_{1}$  and  $\delta_{2}$  should be interpreted in real terms. Note that  $\delta_{1}$  can be expressed as  $\delta_{1} = 1 + r_{1}$ , where  $r_{1}$  is the average real interest rate in the period 1990-96, and  $\delta_{2}$  as  $\delta_{2} = r_{2} - r_{1}$ , where  $r_{2}$  is the average real interest rate in the period 1999-2005. Therefore,  $\delta_{2}$  measures the change in the average real interest rate level between the periods 1990-96 and 1999-2005.

Regression (9) is estimated by GMM using the first lag of the explanatory variables as instruments. Table 3 presents the estimated parameters together with their standard errors. Coefficient  $\delta_2$  is not significant at the standard levels, implying that the null hypothesis of equal real interest rates in the two periods cannot be rejected. The point estimate of coefficient  $\delta_1$  is 1.005, implying an annual real interest rate of around 6.2% (=1.005<sup>12</sup>-1), which seems very high, a result consistent with FR, who also obtained high average estimates for the implied (nominal) interest rates in their sample. However, the two-standard-error confidence interval band for the real interest rate is quite wide (0-16%), suggesting that this variable is estimated with much uncertainty.

All in all, results reported in this section based essentially on pure arbitrage considerations show no evidence of a significant decrease in the implicit real risk-free rates since the late 1990s. Still, a natural follow-up would be to try to introduce greater structure into these models in order to increase the accuracy of the estimates.

#### 4 Concluding comments

This paper has provided a number of arguments and evidence supporting the hypothesis that the observed decrease in ex-post real interest rates -of more than seven percentage pointsbetween 1990 and 2005 is likely to overestimate the fall in the cost of capital -as measured by the actual riskless real interest rate- experienced by the Spanish economy.

Although our estimates are subject to much uncertainty, mostly as a consequence of the difficulty of measuring real interest rate levels with sufficient precision, we have seen that a decrease in real interest rates of a similar size to that in ex-post rates does not seem compatible either with the hypothesis of capital market integration or with rational optimising behaviour on the part of investors and consumers. Moreover, exploiting non-arbitrage conditions, we have shown that the behaviour of other security prices does not suggest such a large fall in the riskless real interest rate. Actually, our findings do seem compatible with the hypothesis that real interest rates -when properly measured- might not have declined much more than in other more stable economies. If the ex-post real return on nominal bonds is lower now, this is partly the result of a change in the risk profile of these instruments as inflation uncertainty lessens. Specifically, the large fall in ex-post real interest rates would have to be explained, at least to some extent, by the impact of the new monetary regime on inflation expectations and the inflation risk premium and not only as a result of a genuine reduction in the cost of capital.

The implications of this hypothesis are potentially very relevant. Probably, the explanation of the significant expansion of the Spanish economy would have to rely somewhat less on low financial costs and more on employment creation, modernisation and competition in the financial sector and improved expectations as a consequence of the consolidation of an environment of macroeconomic stability. More reflection would however be needed to reassess the determinants of the marked expansion of private-sector –and particularly household– debt. It is a fact that such an increase has been larger than in other countries facing what now seems a less dissimilar reduction in actual real interest rates. One explanation could well be that the fall in nominal interest rates -even if it is not accompanied by a similar decrease in real rates- can actually relax credit constraints applied by banks. Indeed, there is some evidence that nominal rather than real rates explain developments in household credit in Spain.<sup>5</sup> But it might well be the case that the continuous expansion of demand for loans is partly due to a failure by borrowers to fully internalise the lower protection that they could expect from inflation in the new monetary union regime.

<sup>5.</sup> See, for example, Nieto (2003) and Martínez-Carrascal and del Río (2004).

### **ANNEX 1: SECURITIES MARKET DATA**

In the empirical exercises we use monthly data for a sample of Spanish securities including 18 portfolios of stocks (10 size portfolios and 8 industry portfolios), 2 short-term securities and a portfolio of long-term debt. The sample period expands from January 1990 to December 2005.

The 10 size portfolios are made up from a dataset which includes all stocks traded on the electronic segment of the Spanish stock exchanges ("mercado continuo").<sup>6</sup> More specifically, at the end of each year stocks which have traded the following year are classified in 10 portfolios with the same number of stocks, according to the market value of the company on that date. Portfolio returns are computed as the equally weighted returns on individual stocks. Returns include dividends and are corrected by splits.

The industry portfolios are made up using the total return (including dividends) sect oral indices published by the Madrid Stock Exchange (MSE). Between 1940 and 2001 the MSE had been using 10 sectoral indices. Starting in 2002, these series were discontinued and new series were created. The new sectoral classification offers more detailed information. More specifically, there are 7 sectoral indices and 29 sub-sectoral indices. For 8 of the previous indices we were able to update the series using the new indices. These are the 8 industry portfolios we use in our empirical exercises. The sectors included are the following: banking, utilities, food, construction, investment companies, telecommunications, oil and basic materials.

The two short-term securities are notional bills issued with a time to maturity of 3 months and one year, respectively. Returns are computed using theoretical prices for these securities derived from the 3-month interest rates traded on the Madrid interbank market (EURIBOR rates since 1999) and one-year Treasury Bill yields, respectively.

Finally, the portfolio of long-term debt is the total return index of JP Morgan. This index is made up of bonds issued by the Spanish Treasury. The average duration of the portfolio over the sample period is 4.5 years. The index considers both changes in prices and coupon payments.

All returns are computed in real terms (deflated by the Spanish CPI index) assuming a holding period of one month.

<sup>6.</sup> These data was provided by Gonzalo Rubio for the period 1990 to 2003. We have updated the data until the end of 2005 using the same methodology.

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#### REAL INTEREST RATES

| %         |                                    |         |       |                 |                |
|-----------|------------------------------------|---------|-------|-----------------|----------------|
|           | Ex-post 3-month real interest rate |         |       | 10-year indexed |                |
|           | Spain                              | Germany | UK    | USA             | bond yield. UK |
| 1990-1998 | 5.31                               | 3.17    | 4.18  | 2.21            | 3.76           |
| 1999-2005 | -0.04                              | 1.64    | 2.38  | 0.72            | 2.08           |
| Change    | -5.35                              | -1.53   | -1.80 | -1.50           | -1.69          |

| IMPLIED DEAL INTEDECT DATEC | DEDIVED FOD ALTEDNATIVE  | COECIEICATIONS OF DEFEDENCES  |
|-----------------------------|--------------------------|-------------------------------|
| INFLIED REAL INTEREST RATES | DERIVED FOR ALTERINATIVE | SPECIFICATIONS OF FREFERENCES |

TABLE 2

TABLE 1

| Inscription         Inspan=0.1         2.21         2.27         0.06           PREFERENCES         gamma=0.1         3.93         4.52         0.59           gamma=1         3.93         4.52         0.59           ABEL PHI=0.75         gamma=0.1         3.55         4.20         0.66           gamma=1         5.28         6.49         1.21           gamma=5         13.02         17.10         4.08           gamma=0.1         2.66         2.91         0.25           ABEL PHI=0.25         gamma=0.1         1.77         1.63         -0.14           ABEL PHI=0.25         gamma=5         12.06         15.65         3.59           gamma=5         11.77         1.63         -0.14           ABEL PHI=0.5         gamma=5         1.11         14.22         3.11           gamma=5         10.15         12.79         2.64         2.21           ABEL PHI=0.75         gamma=6.1         2.20         2.27         0.00         2.22         0.07         2.21         2.23         0.07         2.21         2.23         0.07         2.21         2.23         0.07         2.21         2.23         0.07         2.21         2.23         0.0  | %                         |           |           |           |        |
|--|---------------------------|-----------|-----------|-----------|--------|
| ISOELASTIC<br>PREFERENCES         gamma=0.1         2.21         2.27         0.06           PREFERENCES         gamma=1         3.93         4.52         0.59           gamma=5         11.58         14.93         3.35           ABEL. PHI=-0.75         gamma=0.1         3.55         4.20         0.66           ABEL. PHI=-0.75         gamma=5         13.02         17.10         4.08           gamma=5         13.02         17.10         4.08           gamma=5         12.06         15.65         3.59           ABEL. PHI=-0.25         gamma=0.1         1.77         1.63         -0.14           ABEL. PHI=0.25         gamma=0.1         1.77         1.63         -0.14           ABEL. PHI=0.75         gamma=0.1         2.87         0.00         gamma=5           gamma=5         11.11         14.22         3.11         gamma=6         10.15         12.79         2.64           EXTERNAL ADDITIVE         gamma=1         2.57         0.00         gamma=1         3.80         4.56         0.76           gamma=5         10.15         12.79         2.64         0.77         gamma=1         3.80         4.56         0.76         gamma=1         3.80  |                           |           | 1990-1998 | 1999-2005 | Change |
| DELDATION         gamma=1         3.93         4.52         0.59           PREFERENCES         gamma=5         11.58         14.93         3.35           ABEL.PHI=0.75         gamma=0.1         3.55         4.20         0.66           ABEL.PHI=0.75         gamma=0.1         5.28         6.49         1.21           gamma=5         13.02         17.10         4.08           ABEL.PHI=0.25         gamma=0.1         2.66         2.91         0.25           gamma=5         12.06         15.65         3.59           gamma=5         11.11         14.22         3.11           gamma=0.1         1.77         1.63         -0.14           gamma=5         11.11         14.22         3.11           gamma=5         10.15         12.79         2.64           gamma=1         3.80         4.56         0.76           gamma=1         3.78         4.47         0.70  | ISOELASTIC<br>PREFERENCES | gamma=0.1 | 2.21      | 2.27      | 0.06   |
| Hill Electods         gamma=5         11.58         14.93         3.35           ABEL. PHI=0.75         gamma=0.1         3.55         4.20         0.66           gamma=5         13.02         17.10         4.08           gamma=0.1         2.66         2.91         0.25           ABEL. PHI=0.25         gamma=0.1         2.66         2.91         0.25           gamma=0.1         3.37         0.80         3.36         0.14           gamma=0.1         1.77         1.63         -0.14           gamma=5         11.11         14.22         3.11           gamma=5         11.11         14.22         3.11           gamma=5         10.15         12.79         2.64           gamma=5         10.15         12.79         2.64           gamma=5         10.69         15.02         4.33           EXTERNAL ADDITIVE         gamma=0.1         2.20         2.27         0.07           gamma=5         10.69         15.02         4.33           EXTERNAL ADDITIVE         gamma=1         3.78         4.47         0.70           gamma=5         9.80         14.01         4.22         0.01           gamma=6 <td< td=""><td>gamma=1</td><td>3.93</td><td>4.52</td><td>0.59</td></td<>   |                           | gamma=1   | 3.93      | 4.52      | 0.59   |
| ABEL. PHI=-0.75         gamma=0.1         3.55         4.20         0.66           ABEL. PHI=-0.75         gamma=1         5.28         6.49         1.21           gamma=5         13.02         17.10         4.08           ABEL. PHI=-0.25         gamma=0.1         2.66         2.91         0.25           ABEL. PHI=-0.25         gamma=5         12.06         15.65         3.59           gamma=0.1         3.47         3.87         0.39           gamma=5         11.11         14.22         3.11           ABEL. PHI=0.25         gamma=0.1         0.88         0.37         -0.52           gamma=5         10.15         12.79         2.64         0.07           gamma=5         10.69         15.02         4.33         0.07           gamma=6         10.69         15.02         4.33         0.07           gamma=1         3  |                           | gamma=5   | 11.58     | 14.93     | 3.35   |
| ABEL PHI=0.75         gamma=1         5.28         6.49         1.21           gamma=5         13.02         17.10         4.08           ABEL PHI=0.25         gamma=0.1         2.66         2.91         0.25           gamma=0.1         4.38         5.17         0.80           ABEL PHI=0.25         gamma=0.1         1.77         1.63         -0.14           gamma=5         12.06         15.65         3.59           ABEL PHI=0.25         gamma=0.1         3.47         3.87         0.39           gamma=5         11.11         14.22         3.11         14           ABEL PHI=0.75         gamma=0.1         0.88         0.37         -0.52           gamma=5         10.15         12.79         2.64         0.07           gamma=5         10.15         12.79         2.64         0.76           gamma=5         10.69         15.02         4.33         0.76           gamma=5         10.69         15.02         4.33         0.76           gamma=5         9.80         14.01         4.22         0.70           gamma=5         9.80         14.01         4.22         0.70           gamma=6         4.15   | ABEL. PHI=-0.75           | gamma=0.1 | 3.55      | 4.20      | 0.66   |
| gamma=5         13.02         17.10         4.08           ABEL PHI=-0.25         gamma=0.1         2.66         2.91         0.25           ABEL PHI=-0.25         gamma=5         12.06         15.65         3.59           ABEL PHI=0.25         gamma=0.1         1.77         1.63         -0.14           ABEL PHI=0.25         gamma=1         3.47         3.87         0.39           gamma=5         11.11         14.22         3.11           ABEL PHI=0.75         gamma=0.1         0.88         0.37         -0.52           gamma=5         10.15         12.79         2.64           EXTERNAL ADDITIVE         gamma=0.1         2.20         2.28         0.07           gamma=5         10.69         15.02         4.33           EXTERNAL ADDITIVE         gamma=0.1         2.20         2.27         0.07           gamma=5         10.69         15.02         4.33         4.47         0.70           gamma=5         9.80         14.01         4.22         4.33         4.52         0.59           gamma=6         9.80         14.01         4.22         4.33         4.66         1.77           gamma=5         4.15         8.97 <td>gamma=1</td> <td>5.28</td> <td>6.49</td> <td>1.21</td>   |                           | gamma=1   | 5.28      | 6.49      | 1.21   |
| ABEL. PHI=-0.25         gamma=0.1         2.66         2.91         0.25           ABEL. PHI=-0.25         gamma=1         4.38         5.17         0.80           gamma=5         12.06         15.65         3.59           gamma=0.1         1.77         1.63         -0.14           ABEL. PHI=0.25         gamma=0.1         3.47         3.87         0.39           gamma=5         11.11         14.22         3.11           ABEL. PHI=0.75         gamma=0.1         2.57         2.57         0.00           gamma=5         10.15         12.79         2.64           EXTERNAL ADDITIVE         gamma=0.1         2.20         2.28         0.07           gamma=5         10.69         15.02         4.33           gamma=5         10.69         15.02         4.33           EXTERNAL ADDITIVE         gamma=0.1         2.20         2.27         0.07           gamma=5         9.80         14.01         4.22         4.33           EXTERNAL ADDITIVE         gamma=0.1         3.78         4.47         0.70           gamma=5         9.80         14.01         4.22         0.04           gamma=5         9.80         14.01         <   |                           | gamma=5   | 13.02     | 17.10     | 4.08   |
| ABEL. PHI=-0.25         gamma=1         4.38         5.17         0.80           gamma=5         12.06         15.65         3.59           ABEL. PHI=0.25         gamma=0.1         1.77         1.63         -0.14           ABEL. PHI=0.25         gamma=5         11.11         14.22         3.11           ABEL. PHI=0.75         gamma=0.1         0.88         0.37         -0.52           gamma=1         2.57         2.57         0.00           gamma=0.1         2.28         0.07           gamma=0.1         2.20         2.28         0.07           gamma=5         10.69         15.02         4.33           EXTERNAL ADDITVE         gamma=0.1         2.20         2.27         0.07           gamma=5         9.80         14.01         4.22           EXTERNAL ADDITVE         gamma=0.1         2.21         2.25         0.04           gamma=1         3.59         4.14         0.55         3.36           EXTERNAL ADDITVE         gamma=0.1         2.21         2.25         0.04           HABITS b=0.5         gamma=0.1         3.59         4.14         0.55           gamma=1         3.59         4.14         0.55  |                           | gamma=0.1 | 2.66      | 2.91      | 0.25   |
| gamma=5         12.06         15.65         3.59           ABEL, PHI=0.25         gamma=0.1         1.77         1.63         -0.14           ABEL, PHI=0.25         gamma=5         11.11         14.22         3.11           ABEL, PHI=0.75         gamma=0.1         0.88         0.37         -0.52           gamma=5         10.15         12.79         2.64           EXTERNAL ADDITVE<br>HABITS b=0.5         gamma=0.1         2.20         2.28         0.07           gamma=1         3.80         4.56         0.76           gamma=1         3.80         4.56         0.76           gamma=1         3.78         4.47         0.70           gamma=5         10.69         15.02         4.33           EXTERNAL ADDITVE<br>HABITS b=0.75         gamma=0.1         2.21         2.25         0.04           gamma=5         9.80         14.01         4.22         0.55           gamma=5         9.80         14.01         4.22         0.55           gamma=5         9.80         14.01         4.56         0.59           gamma=6         6.43         4.66         1.77         0.55           gamma=5         6.43         4.66         1.77   | ABEL. PHI=-0.25           | gamma=1   | 4.38      | 5.17      | 0.80   |
| gamma=0.1         1.77         1.63         -0.14           ABEL PHI=0.25         gamma=1         3.47         3.87         0.39           gamma=0.1         0.88         0.37         -0.52           ABEL PHI=0.75         gamma=0.1         0.88         0.37         -0.52           gamma=0.1         2.57         2.57         0.00           gamma=5         10.15         12.79         2.64           EXTERNAL ADDITVE         gamma=0.1         2.20         2.28         0.07           gamma=5         10.69         15.02         4.33  |                           | gamma=5   | 12.06     | 15.65     | 3.59   |
| ABEL. PHI=0.25<br>gamma=5         gamma=1         3.47         3.87         0.39           ABEL. PHI=0.75         gamma=0.1         0.88         0.37         -0.52           ABEL. PHI=0.75         gamma=0.1         2.57         0.000           gamma=5         10.15         12.79         2.64           EXTERNAL ADDITVE<br>HABITS b=0.25         gamma=0.1         2.20         2.28         0.07           gamma=5         10.69         15.02         4.33           EXTERNAL ADDITVE<br>HABITS b=0.5         gamma=0.1         2.20         2.27         0.07           gamma=5         9.80         14.01         4.22           EXTERNAL ADDITVE<br>HABITS b=0.5         gamma=0.1         2.21         2.25         0.04           gamma=1         3.78         4.47         0.70         9           gamma=5         9.80         14.01         4.22         1           EXTERNAL ADDITVE<br>HABITS b=0.75         gamma=1         3.59         4.14         0.55           gamma=1         3.59         4.14         0.55         9           gamma=5         6.43         4.66         -1.77           KPR PREFERENCES<br>a=0.4         gamma=0.1         3.17         4.11         0.94      <   |                           | gamma=0.1 | 1.77      | 1.63      | -0.14  |
| gamma=5         11.11         14.22         3.11           ABEL_PHI=0.75         gamma=0.1         0.88         0.37         -0.52           gamma=1         2.57         2.57         0.00           gamma=5         10.15         12.79         2.64           EXTERNAL ADDITVE<br>HABITS b=0.25         gamma=0.1         2.20         2.28         0.07           gamma=5         10.69         15.02         4.33           EXTERNAL ADDITVE<br>HABITS b=0.5         gamma=0.1         2.20         2.27         0.07           gamma=5         9.80         14.01         4.22           EXTERNAL ADDITVE<br>HABITS b=0.5         gamma=0.1         2.21         2.25         0.04           gamma=5         9.80         14.01         4.22         2.57         0.07           gamma=5         9.80         14.01         4.22         2.57         0.04         3.59         4.14         0.55         3.5  | ABEL. PHI=0.25            | gamma=1   | 3.47      | 3.87      | 0.39   |
| ABEL PHI=0.75<br>gamma=1         gamma=0.1         0.88         0.37         -0.52           gamma=1         2.57         2.57         0.00           gamma=5         10.15         12.79         2.64           EXTERNAL ADDITVE<br>HABITS b=0.25         gamma=0.1         2.20         2.28         0.07           gamma=5         10.69         15.02         4.33           EXTERNAL ADDITVE<br>HABITS b=0.5         gamma=0.1         2.20         2.27         0.07           gamma=5         9.80         14.01         4.22           EXTERNAL ADDITVE<br>HABITS b=0.5         gamma=0.1         2.21         2.25         0.04           gamma=5         9.80         14.01         4.22         4.82           EXTERNAL ADDITVE<br>HABITS b=0.75         gamma=0.1         2.21         2.25         0.04           gamma=6         9.80         14.01         4.22         4.82           EXTERNAL ADDITVE<br>HABITS b=0.75         gamma=0.1         3.59         4.14         0.55           gamma=6         4.15         8.97         4.82         0.69           gamma=7         9.33         4.52         0.69         9           gamma=6         6.43         4.66         -1.77         4.11   |                           | gamma=5   | 11.11     | 14.22     | 3.11   |
| ABEL. PHI=0.75         gamma=1         2.57         2.57         0.00           gamma=5         10.15         12.79         2.64           EXTERNAL ADDITVE<br>HABITS b=0.25         gamma=0.1         2.20         2.28         0.07           gamma=1         3.80         4.56         0.76           gamma=5         10.69         15.02         4.33           EXTERNAL ADDITVE<br>HABITS b=0.5         gamma=0.1         2.20         2.27         0.07           gamma=1         3.78         4.47         0.70           gamma=5         9.80         14.01         4.22           EXTERNAL ADDITVE<br>HABITS b=0.75         gamma=0.1         2.21         2.25         0.04           gamma=5         4.15         8.97         4.82           gamma=5         4.15         8.97         4.82           KPR PREFERENCES<br>a=0.4         gamma=0.1         3.36         4.48         1.12           gamma=5         6.43         4.66         -1.77         9           KPR PREFERENCES<br>a=0.5         gamma=0.1         3.17         4.11         0.94           gamma=5         7.29         6.31         -0.97         9           KPR PREFERENCES<br>a=0.6         gamma=1         3   |                           | gamma=0.1 | 0.88      | 0.37      | -0.52  |
| gamma=5         10.15         12.79         2.64           EXTERNAL ADDITVF<br>HABITS b=0.25         gamma=0.1         2.20         2.28         0.07           gamma=1         3.80         4.56         0.76           gamma=5         10.69         15.02         4.33           EXTERNAL ADDITVF<br>HABITS b=0.5         gamma=0.1         2.20         2.27         0.07           gamma=5         9.80         14.01         4.22           EXTERNAL ADDITVF<br>HABITS b=0.75         gamma=0.1         2.21         2.25         0.04           gamma=1         3.59         4.14         0.55         0.4           gamma=5         4.15         8.97         4.82         0.59           gamma=0.1         3.36         4.48         1.12         0.59           gamma=5         6.43         4.66         -1.77           KPR PREFERENCES         gamma=0.1         3.93         4.52         0.59           gamma=5         7.29         6.31         -0.97           gamma=0.1         2.98         3.74         0.76           gamma=0.1         2.98         3.74         0.76           gamma=0.1         2.98         3.74         0.76 <td< td=""><td>ABEL. PHI=0.75</td><td>gamma=1</td><td>2.57</td><td>2.57</td><td>0.00</td></td<>  | ABEL. PHI=0.75            | gamma=1   | 2.57      | 2.57      | 0.00   |
| EXTERNAL ADDITIVE<br>HABITS b=0.25         gamma=0.1<br>gamma=1         2.20         2.28         0.07           gamma=1         3.80         4.56         0.76           gamma=5         10.69         15.02         4.33           EXTERNAL ADDITVE<br>HABITS b=0.5         gamma=0.1         2.20         2.27         0.07           gamma=1         3.78         4.47         0.70         gamma=5         9.80         14.01         4.22           EXTERNAL ADDITVE<br>HABITS b=0.75         gamma=0.1         2.21         2.25         0.04           gamma=1         3.59         4.14         0.55         0.04           gamma=5         4.15         8.97         4.82           gamma=5         6.43         4.66         -1.77           KPR PREFERENCES<br>a=0.4         gamma=0.1         3.17         4.11         0.94           gamma=5         6.43         4.66         -1.77           KPR PREFERENCES<br>a=0.5         gamma=0.1         3.17         4.11         0.94           gamma=1         3.93         4.52         0.59         0.97           gamma=5         7.29         6.31         -0.97         0.97           gamma=1         3.93         4.52         0.59  |                           | gamma=5   | 10.15     | 12.79     | 2.64   |
| EXTERNAL ADDITIVE<br>HABITS b=0.25<br>gamma=5         gamma=1<br>10.69         3.80         4.56         0.76           EXTERNAL ADDITIVE<br>HABITS b=0.5         gamma=0.1<br>gamma=5         2.20         2.27         0.07           gamma=1         3.78         4.47         0.70           gamma=5         9.80         14.01         4.22           EXTERNAL ADDITIVE<br>HABITS b=0.75         gamma=0.1         2.21         2.25         0.04           gamma=1         3.59         4.14         0.55         0.44         0.55           gamma=1         3.59         4.14         0.55         0.64         0.59         0.59           gamma=1         3.93         4.52         0.59 <td< td=""><td></td><td>gamma=0.1</td><td>2.20</td><td>2.28</td><td>0.07</td></td<> |                           | gamma=0.1 | 2.20      | 2.28      | 0.07   |
| Inclusion blocks         gamma=5         10.69         15.02         4.33           EXTERNAL ADDITVE<br>HABITS b=0.5<br>gamma=5         gamma=0.1         2.20         2.27         0.07           gamma=5         9.80         14.01         4.22           EXTERNAL ADDITVE<br>HABITS b=0.5         gamma=0.1         2.21         2.25         0.04           gamma=5         4.15         8.97         4.82           EXTERNAL ADDITVE<br>HABITS b=0.75         gamma=0.1         3.36         4.48         1.12           gamma=5         6.43         4.66         -1.77           gamma=5         6.43         4.66         -1.77           KPR PREFERENCES<br>a=0.4         gamma=0.1         3.17         4.11         0.94           gamma=5         7.29         6.31         -0.97           KPR PREFERENCES<br>a=0.6         gamma=0.1         2.98         3.74         0.76           gamma=1         3.93         4.52         0.59  | UARITS 6-0.25             | gamma=1   | 3.80      | 4.56      | 0.76   |
| EXTERNAL ADDITIVE<br>HABITS b=0.5         gamma=0.1<br>gamma=1         2.20         2.27         0.07           gamma=1         3.78         4.47         0.70           gamma=5         9.80         14.01         4.22           EXTERNAL ADDITVE<br>HABITS b=0.75         gamma=0.1         2.21         2.25         0.04           gamma=0.1         3.59         4.14         0.55         0.67           gamma=5         4.15         8.97         4.82           KPR PREFERENCES<br>a=0.4         gamma=0.1         3.36         4.48         1.12           gamma=5         6.43         4.66         -1.77           KPR PREFERENCES<br>a=0.4         gamma=0.1         3.17         4.11         0.94           gamma=5         7.29         6.31         -0.97           KPR PREFERENCES<br>a=0.6         gamma=0.1         2.98         3.74         0.76           gamma=1         3.93         4.52         0.59         0.59         0.59           gamma=5         7.29         6.31         -0.97         0.97         0.51           KPR PREFERENCES<br>a=0.6         gamma=1         3.93         4.52         0.59         0.59         0.59         0.59         0.59         0.59         0.59 </td <td></td> <td>gamma=5</td> <td>10.69</td> <td>15.02</td> <td>4.33</td>                              |                           | gamma=5   | 10.69     | 15.02     | 4.33   |
| EXTERNAL ADDITIVE<br>HABITS b=0.5         gamma=1<br>gamma=5         3.78         4.47         0.70<br>gamma=5           EXTERNAL ADDITIVE<br>HABITS b=0.75         gamma=0.1         2.21         2.25         0.04           gamma=5         4.15         8.97         4.82           KPR PREFERENCES<br>a=0.4         gamma=0.1         3.36         4.48         1.12           gamma=5         6.43         4.66         -1.77           KPR PREFERENCES<br>a=0.5         gamma=0.1         3.17         4.11         0.94           gamma=5         6.43         4.66         -1.77           KPR PREFERENCES<br>a=0.5         gamma=1         3.93         4.52         0.59           gamma=1         3.93         4.52         0.59         0.59           gamma=5         7.29         6.31         -0.97           KPR PREFERENCES<br>a=0.6         gamma=0.1         2.98         3.74         0.76           gamma=5         8.15         7.99         -0.16         0.59   |                           | gamma=0.1 | 2.20      | 2.27      | 0.07   |
| Interfere         gamma=5         9.80         14.01         4.22           EXTERNAL ADDITVE<br>HABITS b=0.75         gamma=0.1         2.21         2.25         0.04           gamma=1         3.59         4.14         0.55           gamma=5         4.15         8.97         4.82           gamma=0.1         3.36         4.48         1.12           gamma=0.1         3.36         4.66         -1.77           gamma=5         6.43         4.66         -1.77           KPR PREFERENCES         gamma=0.1         3.17         4.11         0.94           gamma=5         7.29         6.31         -0.97           gamma=5         7.29         6.31         -0.97           gamma=0.1         2.98         3.74         0.76           gamma=5         8.15         7.99         -0.16  | HABITS b=0.5              | gamma=1   | 3.78      | 4.47      | 0.70   |
| $\begin{array}{c ccccccccccccccccccccccccccccccccccc$  |                           | gamma=5   | 9.80      | 14.01     | 4.22   |
| $\begin{array}{c c c c c c c c c c c c c c c c c c c $   |                           | gamma=0.1 | 2.21      | 2.25      | 0.04   |
| KPR PREFERENCES<br>a=0.4<br>gamma=5         gamma=0.1<br>gamma=1         3.36<br>3.36         4.48         1.12           KPR PREFERENCES<br>a=0.5         gamma=0.1<br>gamma=5         6.43         4.66         -1.77           KPR PREFERENCES<br>a=0.5         gamma=0.1<br>gamma=1         3.93         4.52         0.59           gamma=1         3.93         4.52         0.59           gamma=1         3.93         4.52         0.59           gamma=1         3.93         4.52         0.59           gamma=5         7.29         6.31         -0.97           KPR PREFERENCES<br>a=0.6         gamma=0.1<br>gamma=5         3.93         4.52         0.59           gamma=5         8.15         7.99         -0.16         0.97  | HABITS b=0.75             | gamma=1   | 3.59      | 4.14      | 0.55   |
| $\begin{array}{c c c c c c c c c c c c c c c c c c c $   | 11/10/10/0-0.10           | gamma=5   | 4.15      | 8.97      | 4.82   |
| KMMLELENCES         gamma=1         3.93         4.52         0.59           a=0.4         gamma=5         6.43         4.66         -1.77           KPR PREFERENCES         gamma=0.1         3.17         4.11         0.94           a=0.5         gamma=5         7.29         6.31         -0.97           KPR PREFERENCES         gamma=0.1         2.98         3.74         0.76           a=0.6         gamma=5         8.15         7.99         -0.16   | KPR PREFERENCES<br>a=0.4  | gamma=0.1 | 3.36      | 4.48      | 1.12   |
| gamma=5         6.43         4.66         -1.77           KPR PREFERENCES<br>a=0.5         gamma=0.1         3.17         4.11         0.94           gamma=5         7.29         6.31         -0.97           KPR PREFERENCES<br>a=0.6         gamma=0.1         2.98         3.74         0.76           gamma=5         8.15         7.99         -0.16  |                           | gamma=1   | 3.93      | 4.52      | 0.59   |
| $\begin{array}{c c c c c c c c c c c c c c c c c c c $   |                           | gamma=5   | 6.43      | 4.66      | -1.77  |
| Markar Label         gamma=1         3.93         4.52         0.59           gamma=5         7.29         6.31         -0.97           KPR PREFERENCES         gamma=0.1         2.98         3.74         0.76           gamma=1         3.93         4.52         0.59           gamma=5         8.15         7.99         -0.16  | KPR PREFERENCES<br>a=0.5  | gamma=0.1 | 3.17      | 4.11      | 0.94   |
| gamma=5         7.29         6.31         -0.97           KPR PREFERENCES<br>a=0.6         gamma=0.1         2.98         3.74         0.76           gamma=1         3.93         4.52         0.59           gamma=5         8.15         7.99         -0.16   |                           | gamma=1   | 3.93      | 4.52      | 0.59   |
| KPR PREFERENCES<br>a=0.6         gamma=0.1         2.98         3.74         0.76           gamma=1         3.93         4.52         0.59           gamma=5         8.15         7.99         -0.16   |                           | gamma=5   | 7.29      | 6.31      | -0.97  |
| a=0.6 gamma=1 3.93 4.52 0.59<br>gamma=5 8.15 7.99 -0.16  | KPR PREFERENCES<br>a=0.6  | gamma=0.1 | 2.98      | 3.74      | 0.76   |
| gamma=5 8.15 7.99 -0.16  |                           | gamma=1   | 3.93      | 4.52      | 0.59   |
|  |                           | gamma=5   | 8.15      | 7.99      | -0.16  |

Real interest rates in sub-period j (j=1, 2) are estimated using the expression  $r_j = 1 - 1/(\sum_{i=1}^{N_j} m_{t_j+i} / N_j)$  where N<sub>j</sub> is the number of quarters in sub-period j, and m<sub>t</sub> is the IMRS in period t, which is proxied using the several specifications of preferences. For isolelastic preferences,  $m_t = \beta(g_{t+1})^{-\gamma}$ ; where  $g_{t+1} = c_{t+1} / c_t$  and  $c_t$  is per capita seasonally-adjusted private non-durable consumption in real terms; for Abel's preferences  $m_t = \beta(g_{t+1})^{-\gamma}(g_t)^{\Phi}$ ; for external additive preferences  $m_t = \beta((c_{t+1} - bc_t)/(c_t - bc_{t-1}))^{-\gamma}$ ; and for KPR preferences  $m_t = \beta(g_{t+1})^{-\gamma}(g_{t+1}n_{t+1})^{-(1-\alpha)(1-\gamma)}$  where  $n_{t+1} = (1 - N_t)/(1 - N_{t+1})$  and N<sub>t</sub> is the ratio of employment to the population aged over 16. We use quarterly data from Spain's National Quarterly Accounts and  $\beta$  is set to 0.995.

ESTIMATION RESULTS FOR THE MEAN OF THE IMRS DERIVED FROM THE METHOD PROPOSED BY FLOOD AND ROSE (2005)

|                | Coeficient | Std. error |
|----------------|------------|------------|
| δ <sub>1</sub> | 1.0053     | 0.0037     |
| δ <sub>2</sub> | 0.0025     | 0.0050     |
|                |            |            |

TABLE 3

NOMINAL AND INFLATION ADJUSTED THREE-MONTH INTEREST RATES

GRAPH 1





#### HANSEN-JAGANNATHAN FRONTIERS









GRAPH 3

### HANSEN-JAGANNATHAN FRONTIERS



## GRAPH 5

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