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Operational Remote Sensing of ET and Challenges

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1. Introduction

Satellite imagery now provides a dependable basis for computational models that determine evapotranspiration (ET) by surface energy balance (EB). These models are now routinely applied as part of water and water resources management operations of state and federal agencies. They are also an integral component of research programs in land and climate processes. The very strong benefit of satellite-based models is the quantification of ET over large areas. This has enabled the estimation of ET from individual fields among populations of fields (Tasumi et al. 2005) and has greatly propelled field specific management of water systems and water rights as well as mitigation efforts under water scarcity. The more dependable and universal satellite-based models employ a surface energy balance (EB) where ET is computed as a residual of surface energy. This determination requires a thermal imager onboard the satellite. Thermal imagers are expensive to construct and more a required for future water resources work. Future moderate resolution satellites similar to Landsat need to be equipped with moderately high resolution thermal imagers to provide greater opportunity to estimate spatial distribution of actual ET in time. Integrated ET is enormously valuable for monitoring effects of water shortage, water transfer, irrigation performance, and even impacts of crop type and variety and irrigation type on ET. Allen (2010b) showed that the current 16-day overpass return time of a single Landsat satellite is often insufficient to produce annual ET products due to impacts of clouds. An analysis of a 25 year record of Landsat imagery in southern Idaho showed the likelihood of producing annual ET products for any given year to increase by a factor of NINE times (from 5% probability to 45% probability) when two Landsat systems were in operation rather than one (Allen 2010b).

Satellite-based ET products are now being used in water transfers, to enforce water regulations, to improve development and calibration of ground-water models, where ET is a needed input for estimating recharge, to manage streamflow for endangered species management, to estimate water consumption by invasive riparian and desert species, to estimate ground-water consumption from at-risk aquifers, for quantification of native

American water rights, to assess impacts of land-use change on wetland health, and to monitor changes in water consumption as agricultural land is transformed into residential uses (Bastiaanssen et al., 2005, Allen et al., 2005, Allen et al. 2007b).

The more widely used and operational remote sensing models tend to use a 'CIMEC' approach ("calibration using inverse modeling of extreme conditions") to calibrate around uncertainties and biases in satellite based energy balance components. Biases in EB components can be substantial, and include bias in atmospheric transmissivity, absolute surface temperature, estimated aerodynamic temperature, surface albedo, aerodynamic roughness, and air temperature fields. Current CIMEC models include SEBAL (Bastiaanssen et al. 1998a, 2005), METRIC (Allen et al., 2007a) and SEBI-SEBS (Su 2002) and the process frees these models from systematic bias in the surface temperature and surface reflectance retrievals. Other models, such as the TSEB model (Kustas and Norman 1996), use absolute temperature and assumed air temperature fields, and so can be more susceptible to biases in these fields, and often require multiple times per day imagery. Consequently, coarser resolution satellites must be used where downscaling using finer resolution reflectance information is required.

Creating 'maps' of ET that are useful in management and in quantifying and managing water resources requires the computation of ET over monthly and longer periods such as growing seasons or annual periods. Successful creation of an ET 'snapshot' on a satellite overpass day is only part of the required process. At least half the total effort in producing a quantitative ET product involves the interpolation (or extrapolation) of ET information between image dates. This interpolation involves treatment of clouded areas of images, accounting for evaporation from wetting events occurring prior to or following overpass dates, and applying a grid of daily reference ET with the relative ET computed for an image, or a direct Penman-Monteith type of calculation, over the image domain for periods between images to account for day to day variation in weather. The particular methodology for estimating these spatial variables substantially impacts the quality and accuracy of the final ET product.

2. Model overview

Satellite based models can be separated into the following classes, building on Kalma et al. (2008):

- Surface Energy Balance
    - Full energy balance for the satellite image: $\lambda E = R_n - G - H$
    - Water stress index based on surface temperature and vegetation amounts
    - Application of a continuous Land Surface Model (LSM) that is partly initialized and advanced, in time, using satellite imagery
- Statistical methods using differences between surface and air temperature
- Simplified correlations or relationships between surface temperature extremes in an image and endpoints of anticipated ET
- Vegetation-based relative ET that is multiplied by a weather-based reference ET

where λE is latent heat flux density, representing the energy 'consumed' by the evaporation of water, R_n is net radiation flux density, G is ground heat flux density and H is sensible heat flux density to the air.

Except for the LSM applications, none of the listed energy balance methods, in and of themselves, go beyond the creation of a 'snapshot' of ET for the specific satellite image date. Large periods of time exist between snapshots when evaporative demands and water availability (from wetting events) cause ET to vary widely, necessitating the coupling of hydrologically based surface process models to fill in the gaps. The surface process models employed in between satellite image dates can be as simple as a daily soil-surface evaporation model based on a crop coefficient approach (for example, the FAO-56 model of Allen et al. 1998) or can involve more complex plant-air-water models such as SWAT (Arnold et al. 1994), SWAP (van Dam 2000), HYDRUS (Šimůnek et al. 2008), Daisy (Abrahamsen and Hansen 2000) etc. that are run on hourly to daily timesteps.

2.1 Problems with use of absolute surface temperature

Error in surface temperature (T_s) retrievals from many satellite systems can range from 3 – 5 K (Kalma et al. 2008) due to uncertainty in atmospheric attenuation and sourcing, surface emissivity, view angle, and shadowing. Hook and Prata (2001) suggested that finely tuned T_s retrievals from modern satellites could be as accurate as 0.5 K. Because near surface temperature gradients used in energy balance models are often on the order of only 1 to 5 K, even this amount of error, coupled with large uncertainties in the air temperature fields, makes the use of models based on differences in absolute estimates of surface and air temperature unwieldy.

Cleugh et al. (2007) summarized challenges in using near surface temperature gradients (dT) based on absolute estimates of T_s and air temperature, T_{air}, attributing uncertainties and biases to error in T_s and T_{air}, uncertainties in surface emissivity, differences between radiometrically derived T_s and the aerodynamically equivalent T_s required as a sourcing endpoint to dT.

The most critical factor in the physically based remote sensing algorithms is the solution of the equation for sensible heat flux density:

$$H = \rho_a c_p \frac{T_{aero} - T_a}{r_{ah}} \tag{1}$$

where ρ_a is the density of air (kg m^{-3}), c_p is the specific heat of air (J kg^{-1} K^{-1}), r_{ah} is the aerodynamic resistance to heat transfer (s m^{-1}), T_{aero} is the surface aerodynamic temperature, and T_a is the air temperature either measured at standard screen height or the potential temperature in the mixed layer (K) (Brutsaert et al., 1993). The aerodynamic resistance to heat transfer is affected by wind speed, atmospheric stability, and surface roughness (Brutsaert, 1982). The simplicity of Eq. (1) is deceptive in that T_{aero} cannot be measured by remote sensing. Remote sensing techniques measure the radiometric surface temperature T_s which is not the same as the aerodynamic temperature. The two temperatures commonly differ by 1 to 5 °C, depending on canopy density and height, canopy dryness, wind speed, and sun angle (Kustas et al., 1994, Qualls and Brutsaert, 1996, Qualls and Hopson, 1998). Unfortunately, an uncertainty of 1 °C in $T_{aero} - T_a$ can result in a 50 W m^{-2} uncertainty in H (Campbell and Norman, 1998) which is approximately equivalent to an evaporation rate of 1 mm day^{-1}. Although many investigators have attempted to solve this problem by adjusting r_{ah} or by using an additional resistance term, no generally applicable method has been developed.

Campbell and Norman (1998) concluded that a practical method for using satellite surface temperature measurements should have at least three qualities: (i) accommodate the difference between aerodynamic temperature and radiometric surface temperature, (ii) not require measurement of near-surface air temperature, and (iii) rely more on differences in surface temperature over time or space rather than absolute surface temperatures to minimize the influence of atmospheric corrections and uncertainties in surface emissivity.

2.2 CIMEC Models (SEBAL and METRIC)

The SEBAL and METRIC models employ a similar inverse calibration process that meets these three requirements with limited use of ground-based data (Bastiaanssen et al., 1998a,b, Allen et al., 2007a). These models overcome the problem of inferring T_{aero} from T_s and the need for near-surface air temperature measurements by directly estimating the temperature difference between two near surface air temperatures, T_1 and T_2, assigned to two arbitrary levels z_1 and z_2 without having to explicitly solve for absolute aerodynamic or air temperature at any given height. The establishment of the temperature difference is done via inversion of the function for H at two known evaporative conditions in the model using the CIMIC technique. The temperature difference for a dry or nearly dry condition, represented by a bare, dry soil surface is obtained via $H=R_n – G- λE$ (Bastiaanssen et al., 1998a):

$$T_1 - T_2 = \Delta T_a = \frac{H\, r_{ah_{1-2}}}{\rho_a\, c_p} \tag{2}$$

where $r_{ah,1-2}$ is the aerodynamic resistance to heat transfer between two heights above the surface, z_1 and z_2. At the other extreme, for a wet surface, essentially all available energy R_n - G is used for evaporation $λE$. At that extreme, the classical SEBAL approach assumes that H ≈ 0, in order to keep requirements for high quality ground data to a minimum, so that $\Delta T_a ≈$ 0. Allen et al. (2001, 2007a) have used reference crop evapotranspiration, representing well-watered alfalfa, to represent $λE$ for the cooler population of pixels in satellite images of irrigated fields in the METRIC approach, so as to better capture effects of regional advection of H and dry air, which can be substantial in irrigated desert. METRIC calculates $H = R_n$ - G – $k_1 λET_r$ at these pixels, where ET_r is alfalfa reference ET computed at the image time using weather data from a local automated weather station, and ΔT_a from Eq. (2) , where k_1 ~ 1.05. In typical SEBAL and METRIC applications, z_1 and z_2 are taken as 0.1 and 2 m above the zero plane displacement height (*d*). z_1 is taken as 0.1 m above the zero plane to insure that T_1 is established at a height that is generally greater than $d + z_{oh}$ (z_{oh} is roughness length for heat transfer). Aerodynamic resistance, r_{ah}, is computed for between z_1 and z_2 and does not require the inclusion and thus estimation of z_{oh}, but only z_{om}, the roughness length for momentum transfer that is normally estimated from vegetation indices and land cover type. H is then calculated in the SEBAL and METRIC CIMEC-based models as:

$$H = \rho_a\, c_p\, \frac{\Delta T_a}{r_{ah_{1-2}}} \tag{3}$$

One can argue that the establishment of ΔT_a over a vertical distance that is elevated above $d + z_{oh}$ places the r_{ah} and established ΔT_a in a blended boundary layer that combines influences

of sparse vegetation and exposed soil, thereby reducing the need for two source modeling and problems associated with differences between radiative temperature and aerodynamic temperature and problems associated with estimating z_{oh} and specific air temperature associated with the specific surface.

Evaporative cooling creates a landscape having high ΔT_a associated with high H and high radiometric temperature and low ΔT_a with low H and low radiometric temperature. For example, moist irrigated fields and riparian systems have much lower ΔT_a and much lower T_s than dry rangelands. Allen et al. (2007a) argued, and field measurements in Egypt and Niger (Bastiaanssen et al., 1998b), China (Wang et al., 1998), USA (Franks and Beven, 1997), and Kenya (Farah, 2001) have shown the relationship between T_s and ΔT_a to be highly linear between the two calibration points

$$\Delta T_a = c_1 T_s - c_2 \tag{4}$$

where c_1 and c_2 are empirical coefficients valid for one particular moment (the time and date of an image) and landscape. By using the minimum and maximum values for ΔT_a as calculated for the nearly wettest and driest (i.e., coldest and warmest) pixel(s), the extremes of H are used, in the CIMEC process to find coefficients c_1 and c_2. The empirical Eq. (4) meets the third quality stated by Campbell and Norman (1998) that one should rely on differences in radiometric surface temperature over space rather than absolute surface temperatures to minimize the influence of atmospheric corrections and uncertainties in surface emissivity.

Equation (3) has two unknowns: ΔT_a and the aerodynamic resistance to heat transfer $r_{ah,1-2}$ between the z_1 and z_2 heights, which is affected by wind speed, atmospheric stability, and surface roughness (Brutsaert, 1982). Several algorithms take one or more field measurements of wind speed and consider these as spatially constant over representative parts of the landscape (e.g. Hall et al., 1992; Kalma and Jupp, 1990; Rosema, 1990). This assumption is only valid for uniform homogeneous surfaces. For heterogeneous landscapes a unique wind speed near the ground surface is required for each pixel. One way to meet this requirement is to consider the wind speed spatially constant at a blending height about 200 m above ground level, where wind speed is presumed to not be substantially affected by local surface heterogeneities. The wind speed at blending height is predicted by upward extrapolation of near-surface wind speed measured at an automated weather station using a logarithmic wind profile. The wind speed at each pixel is obtained by a similar downward extrapolation using estimated surface momentum roughness z_{0m} determined for each pixel.

Allen et al. (2007a) have noted that the inverted value for ΔT_a is highly tied to the value used for wind speed in its CIMEC determination. Therefore, they cautioned against the use of a spatial wind speed field at some blending height across an image with a single ΔT_a function. The application of the image-specific ΔT_a function with a blending height wind speed in a distant part of the image that is, for example, double that of the wind used to determine coefficients c_1 and c_2 can estimate higher H than is possible based on energy availability. In those situations, the 'calibrated' ΔT_a would be about half as much to compensate for the larger wind speed. Therefore, if wind fields at the blending height (200 m) are used, then fields of ΔT_a calibrations are also needed, which is prohibitive. The single ΔT_a function of SEBAL and METRIC, coupled with a single wind speed at blending height, transcends these problems. Gowda et al., (2008) presented a summary of remote sensing based energy balance algorithms for mapping ET that complements that by Kalma et al. (2008).

Aerodynamic Transport. The value for $r_{ah,1,2}$ is calculated between the two heights z1 and z2 in SEBAL and METRIC. The value for $r_{ah,1,2}$ is strongly influenced by buoyancy within the boundary layer driven by the rate of sensible heat flux. Because both $r_{ah,1,2}$ and H are unknown at each pixel, an iterative solution is required. During the first iteration, $r_{ah,1,2}$ is computed assuming neutral stability:

$$r_{ah_{1-2}} = \frac{ln\left(\frac{z_2}{z_1}\right)}{u_* \, k} \tag{5}$$

where z_1 and z_2 are heights above the zero plane displacement of the vegetation where the endpoints of dT are defined, u_* is friction velocity (m s^{-1}), and k is von Karman's constant (0.41). Friction velocity u_* is computed during the first iteration using the logarithmic wind law for neutral atmospheric conditions:

$$u^* = \frac{k \, u_{200}}{ln\left(\frac{200}{z_{om}}\right)} \tag{6}$$

where u_{200} is the wind speed (m s^{-1}) at a blending height assumed to be 200 m, and z_{om} is the momentum roughness length (m). z_{om} is a measure of the form drag and skin friction for the layer of air that interacts with the surface. u_* is computed for each pixel inside the process model using a specific roughness length for each pixel, but with u_{200} assumed to be constant over all pixels of the image since it is defined as occurring at a "blending height" unaffected by surface features. Eq. (5) and (6) support the use of a temperature gradient defined between two heights that are both above the surface. This allows one to estimate $r_{ah,1-2}$ without having to estimate a second aerodynamic roughness for sensible heat transfer (z_{oh}), since height z_1 is defined to be at an elevation above z_{oh}. This is an advantage, because z_{oh} can be difficult to estimate for sparse vegetation.

The wind speed at an assumed blending height (200 m) above the weather station, u$_{200}$, is calculated as:

$$u_{200} = \frac{u_w ln\left(\frac{200}{z_{omw}}\right)}{ln\left(\frac{z_x}{z_{omw}}\right)} \tag{7}$$

where u_w is wind speed measured at a weather station at z_x height above the surface and z_{omw} is the roughness length for the weather station surface, similar to Allen and Wright (1997). All units for z are the same. The value for u_{200} is assumed constant for the satellite image. This assumption *is required* for the use of a constant relation between dT and T_s to be extended across the image (Allen 2007a).

The effects of mountainous terrain and elevation on wind speed are complicated and difficult to quantify (Oke, 1987). In METRIC, z_{om} or wind speed for image pixels in mountains are adjusted using a suite of algorithms to account for the following impacts (Allen and Trezza, 2011):

- Terrain roughness – the standard deviation of elevation within a 1.5 km radius is used to estimate an additive to zom to account for vortex and channeling impacts of turbulence
- Elevation effect on velocity – the relative elevation within a 1.5 km radius is used to estimate a relative increase in wind speed, based on slope.
- Reduction of wind speed on leeward slopes – when the general wind direction aloft can be estimated in mountainous terrain, then a reduction factor is made to wind speed on leeward slopes, using relative elevation and amount of slope as factors.

These algorithms have been developed for western Oregon and are being tested in Idaho, Nevada and Montana and are described in an article in preparation (Allen and Trezza, 2011). Allen and Trezza (2011) also refined the estimation of diffuse radiation on steep mountainous slopes.

Iterative solution for $r_{ah,1-2}$. During subsequent iterations for the solution for H, a corrected value for u_* is computed as:

$$u_* = \frac{u_{200}k}{ln\left(\dfrac{200}{z_{0m}}\right) - \Psi_{m(200m)}}$$

(8)

where $\psi_{m(200m)}$ is the stability correction for momentum transport at 200 meters. A corrected value for $r_{ah,1-2}$ is computed each iteration as:

$$r_{ah,1,2} = \frac{ln\left(\dfrac{z_2}{z_1}\right) - \Psi_{h(z_2)} + \Psi_{h(z_1)}}{u_* \times k}$$

(9)

where $\psi_{h(z2)}$ and $\psi_{h(z1)}$ are the stability corrections for heat transport at z_2 and z_1 heights (Paulson 1970 and Webb 1970) that are updated each iteration.

Stability Correction functions. The Monin-Obukhov length (L) defines the stability conditions of the atmosphere in the iterative process. L is the height at which forces of buoyancy (or stability) and mechanical mixing are equal, and is calculated as a function of heat and momentum fluxes:

$$L = -\frac{\rho_{air}\, c_p\, u_*^{\,3} T_s}{kgH}$$

(10)

where g is gravitational acceleration (= 9.807 m s^{-2}) and units for terms cancel to m for L. Values of the integrated stability corrections for momentum and heat transport (ψ_m and ψ_h) are computed using formulations by Paulson (1970) and Webb (1970), depending on the sign of L. When $L < 0$, the lower atmospheric boundary layer is unstable and when $L > 0$, the boundary layer is stable. For $L<0$:

$$\Psi_{m(200m)} = 2ln\left(\frac{1 + x_{(200m)}}{2}\right) + ln\left(\frac{1 + x_{(200m)}^2}{2}\right) - 2ARCTAN\left(x_{(200m)}\right) + 0.5\pi$$

(11)

$$\Psi_{h(2m)} = 2ln\left(\frac{1 + x_{(2m)}^2}{2}\right) \tag{12a}$$

$$\Psi_{h(0.1m)} = 2ln\left(\frac{1 + x_{(0.1m)}^2}{2}\right) \tag{12b}$$

where

$$x_{(200m)} = \left(1 - 16\frac{200}{L}\right)^{0.25} \tag{13a}$$

$$x_{(2m)} = \left(1 - 16\frac{2}{L}\right)^{0.25} \tag{13b}$$

$$x_{(0.1m)} = \left(1 - 16\frac{0.1}{L}\right)^{0.25} \tag{14}$$

Values for $x_{(200m)}$, $x_{(2m)}$, and $x_{(0.1m)}$ have no meaning when $L \geq 0$ and their values are set to 1.0. For $L > 0$ (stable conditions):

$$\Psi_{m(200m)} = -5\left(\frac{2}{L}\right) \tag{15}$$

$$\Psi_{h(2m)} = -5\left(\frac{2}{L}\right) \tag{16a}$$

$$\Psi_{h(0.1m)} = -5\left(\frac{0.1}{L}\right) \tag{16b}$$

When $L = 0$, the stability values are set to 0. Equation (15) uses a value of 2 m rather than 200 m for z because it is assumed that under stable conditions, the height of the stable, inertial boundary layer is on the order of only a few meters. Using a larger value than 2 m for z can cause numerical instability in the model. For neutral conditions, $L = 0$, $H = 0$ and ψ_m and $\psi_h = 0$.

2.2.1 The use of inverse modeling at extreme conditions during calibration (CIMEC)
In METRIC, the satellite-based energy balance is internally calibrated at two extreme conditions (dry and wet) using locally available weather data. The auto-calibration is done for each image using alfalfa-based reference ET (ET_r) computed from hourly weather data. Accuracy and dependability of the ET_r estimate has been established by lysimetric and other studies in which we have high confidence (ASCE-EWRI, 2005). The internal calibration of the sensible heat computation within SEBAL and METRIC and the use of the indexed temperature gradient eliminate the need for atmospheric correction of surface temperature (T_s) and reflectance (albedo) measurements using radiative transfer models (Tasumi et al., 2005b). The internal calibration also reduces impacts of biases in estimation of aerodynamic stability correction and surface roughness.

The calibration of the sensible heat process equations, and in essence the entire energy balance, to ET_r corrects the surface energy balance for lingering systematic computational biases associated with empirical functions used to estimate some components and uncertainties in other estimates as summarized by Allen et al. (2005), including:

- atmospheric correction
- albedo calculation
- net radiation calculation
- surface temperature from the satellite thermal band
- air temperature gradient function used in sensible heat flux calculation
- aerodynamic resistance including stability functions
- soil heat flux function
- wind speed field

This list of biases plagues essentially all surface energy balance computations that utilize satellite imagery as the primary spatial information resource. Most polar orbiting satellites orbit about 700 km above the earth's surface, yet the transport of vapor and sensible heat from land surfaces is strongly impacted by aerodynamic processes including wind speed, turbulence and buoyancy, all of which are essentially invisible to satellites. In addition, precise quantification of albedo, net radiation and soil heat flux is uncertain and potentially biased. Therefore, even though best efforts are made to estimate each of these parameters as accurately and as unbiased as possible, some biases do occur and calibration to ET_r helps to compensate for this by introducing a bias correction into the calculation of H. The end result is that biases inherent to R_n, G, and subcomponents of H are essentially cancelled by the subtraction of a bias-canceling estimate for H. The result is an ET map having values ranging between near zero and near ET_r, for images having a range of bare or nearly bare soil and full vegetation cover.

2.3 Calculation of evapotranspiration

ET at the instant of the satellite image is calculated for each pixel by dividing LE from $LE = R_n - G - H$ by latent heat of vaporization:

$$ET_{inst} = 3600 \frac{LE}{\lambda \rho_w} \tag{17}$$

where ET_{inst} is instantaneous ET (mm hr-1), 3600 converts from seconds to hours, ρ_w is the density of water [~1000 kg m-3], and λ is the latent heat of vaporization (J kg-1) representing the heat absorbed when a kilogram of water evaporates and is computed as:

$$\lambda = \left[2.501 - 0.00236(T_s - 273.15) \right] \times 10^6 \tag{18}$$

The reference ET fraction (ET_rF) is calculated as the ratio of the computed instantaneous ET (ET_{inst}) from each pixel to the reference ET (ET_r) computed from weather data:

$$ET_rF = \frac{ET_{inst}}{ET_r} \tag{19}$$

where ET_r is the estimated instantaneous rate (interpolated from hourly data) (mm hr-1) for the standardized 0.5 m tall alfalfa reference at the time of the image. Generally only one or

two weather stations are required to estimate ET_r for a Landsat image that measures 180 km x 180 km, as discussed later. ET_rF is the same as the well-known crop coefficient, K_c, when used with an alfalfa reference basis, and is used to extrapolate ET from the image time to 24-hour or longer periods.

One should generally expect ET_rF values to range from 0 to about 1.0 (Wright, 1982; Jensen et al., 1990). At a completely dry pixel, $ET = 0$ and therefore $ET_rF = 0$. A pixel in a well established field of alfalfa or corn can occasionally have an ET slightly greater than ET_r and therefore $ET_rF > 1$, perhaps up to 1.1 if it has been recently wetted by irrigation or precipitation. However, ET_r generally represents an upper bound on ET for large expanses of well-watered vegetation. Negative values for ET_rF can occur in METRIC due to systematic errors caused by various assumptions made earlier in the energy balance process and due to random error components so that error should oscillate about $ET_rF = 0$ for completely dry pixels. In calculation of ET_rF in Equation (19), each pixel retains a unique value for ET_{inst} that is derived from a common value for ET_r derived from the representative weather station data.

24-Hour Evapotranspiration (ET_{24}). Daily values of ET (ET_{24}) are generally more useful than the instantaneous ET that is derived from the satellite image. In the METRIC process, ET_{24} is estimated by assuming that the instantaneous ET_rF computed at image time is the same as the average ET_rF over the 24-hour average. The consistency of ET_rF over a day has been demonstrated by various studies, including Romero (2004), Allen et al., (2007a) and Collazzi et al., (2006).

The assumption of constant ET_rF during a day appears to be generally valid for agricultural crops that have been developed to maximize photosynthesis and thus stomatal conductance. In addition, the advantage of the use of ET_rF is to account for the increase in 24-hour ET that can occur under advective conditions. The impacts of advection are represented well by the Penman-Monteith equation. However, the ET_rF may decrease during afternoon for some native vegetation under water short conditions where plants endeavor to conserve soil water through stomatal control. In addition, by definition, when the vegetation under study is the same as or similar to the vegetation for the surrounding region and experiences similar water inputs (natural rainfall, only), then (by definition) no advection can occur. This is because as much sensible heat energy is generated by the surface under study as is generated by the region. Therefore, the net advection of energy is nearly zero. Therefore, under these conditions, the estimation by ET_r that accounts for impacts of advection to a *wet* surface do not occur, and the use of ET_rF to estimate 24-hour ET may not be valid. Instead, the use of evaporative fraction, *EF*, that is used with SEBAL applications may be a better time-transfer approach for rainfed systems. Various schemes of using *EF* for rainfed portions of Landsat images and ET_rF for irrigated, riparian or wetland portions were explored by Kjaersgaard and Allen (2010). When used, the *EF* is calculated as:

$$EF = \frac{ET_{inst}}{R_n - G} \tag{20}$$

where ET_{inst} and R_n and G have the same units and represent the same period of time.

Finally, the ET_{24} (mm/day) is computed for each image pixel in SEBAL as:

$$ET_{24} = (EF)\left(R_{n\_24}\right) \tag{21}$$

and in METRIC as:

$$ET_{24} = C_{rad} \left(ET_r F \right) \left(ET_{r\_24} \right) \tag{22}$$

where $ET_r F$ (or EF) is assumed equal to the $ET_r F$ (or EF) determined at the satellite overpass time, ET_{r-24} is the cumulative 24-hour ET_r for the day of the image and C_{rad} is a correction term used in sloping terrain to correct for variation in 24-hr vs. instantaneous energy availability. C_{rad} is calculated for each image and pixel as:

$$C_{rad} = \frac{R_{so(inst)Horizontal}}{R_{so(inst)Pixel}} \cdot \frac{R_{so(24)Pixel}}{R_{so(24)Horizontal}} \tag{23}$$

where R_{so} is clear-sky solar radiation (W m^{-1}), the "*(inst)*" subscript denotes conditions at the satellite image time, "*(24)*" represents the 24-hour total, the "*Pixel*" subscript denotes slope and aspect conditions at a specific pixel, and the "*Horizontal*" subscript denotes values calculated for a horizontal surface representing the conditions impacting ET_r at the weather station. For applications to horizontal areas, $C_{rad} = 1.0$.

The 24 hour R_{so} for horizontal surfaces and for sloping pixels is calculated as:

$$R_{so(24)} = \int_0^{24} R_{so\_i} \tag{24}$$

where R_{so_i} is instantaneous clear sky solar radiation at time i of the day, calculated by an equation that accounts for effects of slope and aspect. In METRIC, $ET_{r\,24}$ is calculated by summing hourly ET_r values over the day of the image.

After ET and $ET_r F$ have been determined using the energy balance, and the application of the single dT function, then, when interpolating between satellite images, a full grid for ET_r is used for the extrapolation over time, to account for both spatial and temporal variation in ET_r. The ET_r grid is generally made on a 3 or 5 km base using as many quality-controlled weather stations located within and in the vicinity of the study area as available. Depending on data availability and the density of the weather stations various gridding methods including krieging, inverse-distance, and splining can be used.

Seasonal Evapotranspiration (ET$_{seasonal}$). Monthly and seasonal evapotranspiration "maps" are often desired for quantifying total water consumption from agriculture. These maps can be derived from a series of $ET_r F$ images by interpolating $ET_r F$ on a pixel by pixel basis between processed images and multiplying, on a daily basis, by the ET_r for each day. The interpolation of $ET_r F$ between image dates is not unlike the construction of a seasonal K_c curve (Allen et al., 1998), where interpolation is done between discrete values for K_c.

The METRIC approach assumes that the ET for the entire area of interest changes in proportion to change in ET_r at the weather station. This is a generally valid assumption and is similar to the assumptions used in the conventional application of $K_c \times ET_r$. This approach is effective in estimating ET for both clear and cloudy days in between the clear-sky satellite image dates. Tasumi et al., (2005a) showed that the $ET_r F$ was consistent between clear and cloudy days using lysimeter measurements at Kimberly, Idaho. ET_r is computed at a specific weather station location and therefore may not represent the actual condition at each pixel. However, because ET_r is used only as an index of the relative change in weather, specific information at each pixel is retained through the $ET_r F$.

Cumulative *ET* for any period, for example, month, season or year is calculated as:

$$ET_{period} = \sum_{i=m}^{n} \left[\left(ET_r F_i \right) \left(ET_{r24i} \right) \right] \tag{25}$$

where ET_{period} is the cumulative *ET* for a period beginning on day *m* and ending on day *n*, $ET_r F_i$ is the interpolated $ET_r F$ for day *i*, and ET_{r24i} is the 24-hour ET_r for day *i*. Units for ET_{period} will be in mm when ET_{r24} is in mm d^{-1}. The interpolation between values for $ET_r F$ is best made using a curvilinear interpolation function, for example a spline function, to better fit the typical curvilinearity of crop coefficients during a growing season (Wright, 1982). Generally one satellite image per month is sufficient to construct an accurate $ET_r F$ curve for purposes of estimating seasonal *ET* (Allen et al., 2007a). During periods of rapid vegetation change, a more frequent image interval may be desirable. Examples of splining $ET_r F$ to estimate daily and monthly ET are given in Allen et al. (2007a) and Singh et al. (2008).

If a specific pixel must be masked out of an image because of cloud cover, then a subsequent image date must be used during the interpolation and the estimated $ET_r F$ or K_c curve will have reduced accuracy.

Average $ET_r F$ over a period. An average $ET_r F$ for the period can be calculated as:

$$ET_r F_{period} = \frac{\sum_{i=m}^{n} \left[\left(ET_r F_i \right) \left(ET_{r24i} \right) \right]}{\sum_{i=m}^{n} ET_{r24i}} \tag{26}$$

Moderately high resolution satellites such as Landsat provide the opportunity to view evapotranspiration on a field by field basis, which can be valuable for water rights management, irrigation scheduling, and discrimination of *ET* among crop types (Allen et al., 2007b). The downside of using high resolution imagery is less frequent image acquisition. In the case of Landsat, the return interval is 16 days. As a result, monthly ET estimates are based on only one or two satellite image snapshots per month. In the case of clouds, intervals of 48 days between images can occur. This can be rectified by combining multiple Landsats (5 with 7) or by using data fusion techniques, where a more frequent, but more coarse system like MODIS is used as a carrier of information during periods without quality Landsat images (Gao et al., 2006, Anderson et al., 2010).

2.4 Reflectance based ET methods

Reflectance based ET methods typically estimate relative fractions of reference ET (ET$_r$F, synonymous with the crop coefficient) based on some sort of vegetation index, for example, the normalized difference vegetation index, NDVI, and multiply the ET$_r$F by daily computed reference ET$_r$ (Groeneveld et al., 2007). NDVI approaches don't directly or indirectly account for evaporation from soil, so they have difficulty in estimating evaporation associated with both irrigation and precipitation wetting events, unless operated with a daily evaporation process model. The VI-based methods are therefore largely blind to the treatment of both irrigation and precipitation events, except on an average basis. In contrast, thermally based models detect the presence of evaporation from

soil, during the snapshot, at least, via evaporative cooling. VI-based methods also do not pick up on acute water stress caused by drought or lack of irrigation, which is often a primary reason for quantifying ET. These models can be run with a background daily evaporation process model, similar to the EB-based models, to estimate evaporation from precipitation between satellite overpass dates.

2.5 Challenges with snapshot models

The SEBAL, METRIC, and other EB models, that can be applied at the relatively high spatial resolution of Landsat and similar satellites, despite their different relative strengths and weaknesses, all suffer from the inability to capture evaporation signals from episodic precipitation and irrigation events occurring between overpass dates. In the case of irrigation events, which are typically unknown to the processer in terms of timing and location, the random nature of these events in time can be somewhat accommodated via the use of multiple overpass dates during the irrigation season (Allen et al. 2007a). In this manner, the ET retrieval for a specific field may be biased high when the overpass follows an irrigation event, but may be biased low when the overpass just precedes an irrigation event. Allen et al. (2007a) suggested that monthly overpass dates over a seven month growing season, for example, can largely compensate for the impact of irrigation wetting on individual fields, especially when it is total growing season ET that is of most interest. The variance of the error in ET estimate caused by unknown irrigation events should tend to decrease with the square root of the number of images processed during the irrigation season.

The impact by precipitation events is a larger problem in converting the 'snapshot' ET images from energy balance models or other methods into monthly and longer period ET. Precipitation timing and magnitudes tend to be less random in time and have much larger variance in depth per wetting event than with irrigation. Because of this, the use of snapshot ET models to construct monthly and seasonal ET maps is more likely to be biased high (if a number of images happen to be 'wet' following a recent precipitation event) or low (if images happen to be 'dry', with precipitation occurring between images). The latter may often be the case since the most desired images for processing are cloud free.

One important use of ET maps is in the estimation of ground water recharge (Allen et al., 2007b). Ground water recharge is often uncertain due to uncertainty in both precipitation and ET, and is usually computed using the difference between P and ET, with adjustment for runoff. It is therefore important to maintain congruency between ET and P data sets or 'maps'. Lack of congruency can cause very large error in estimated recharge, especially in the more arid regions.

3. Adjusting for background evaporation

Often a Landsat or other image is processed on a date where antecedent rainfall has caused the evaporation from bare soil to exceed that for the surrounding monthly period. Often, for input to water balance applications, it is desirable that the final ET image represent the average evaporation conditions for the month. In that case, one approach is to adjust the 'background' evaporation of the processed image to better reflect that for the month or other period that it is to ultimately represent. This period may be a time period that is half way between other adjacent images.

An example of a sequence of Landsat images processed using the METRIC surface energy balance model for the south-western portion of the Nebraska Panhandle (Kjaersgaard and Allen, 2010a) is shown in Figure 1 along with daily precipitation from the Scottsbluff High Plains Regional Climate Center (HPRCC) weather station. The August 13 image date was preceded by a wet period and followed by a very dry period, thus the evaporation from non-irrigated areas at the satellite image date is not representative for the month.
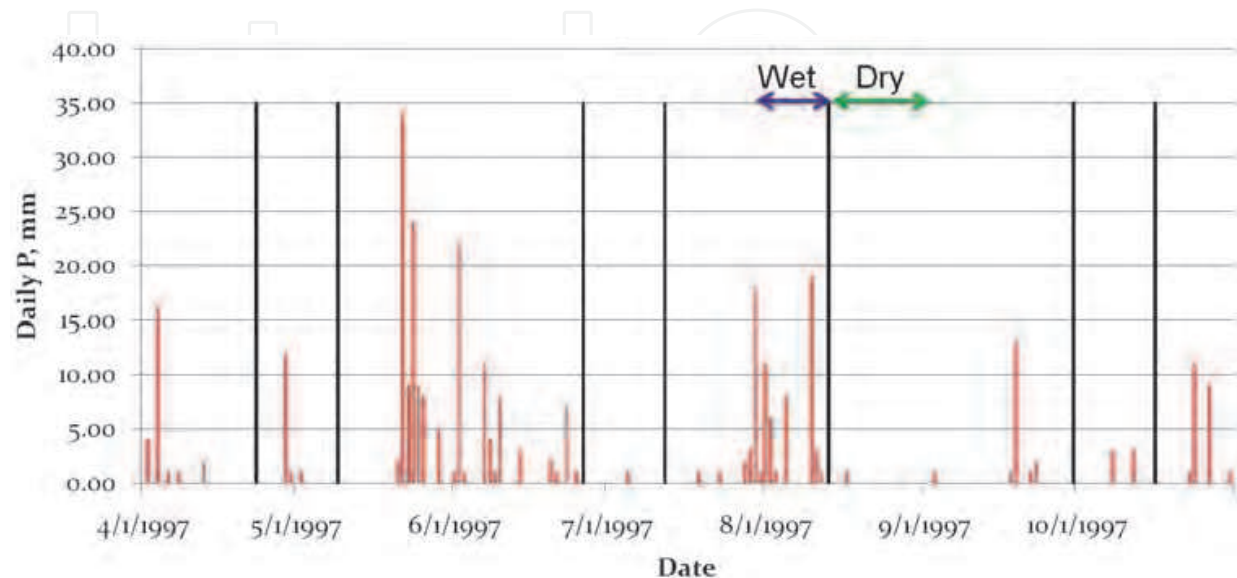
Fig. 1. Image dates of nearly cloud free Landsat 5 path 33 row 31 images from the Nebraskan Panhandle in 1997 (black vertical bars) and precipitation recorded at the Scottsbluff HPRCC weather station (red bars). After Kjaersgaard and Allen (2010).

In making the adjustment for background evaporation, the background evaporation on the overpass date is subtracted out of the image and the average background evaporation is substituted in. Full adjustment is made for areas of completely bare soil, represented by NDVI = NDVI$_{bare soil}$, with no adjustment to areas having full ground covered by vegetation, represented by NDVI = NDVI$_{full cover}$, and with linear adjustment in between.

The following methodology is taken from a white paper developed by the University of Idaho during 2008 and 2009 (Allen 2008, rev. 2010). The ET$_r$F of the Landsat image is first adjusted to a 'basal' condition, where the evaporation estimate is free of rainfall induced evaporation, but still may contain any irrigation induced evaporation:

$$\left(ET_r F_i \right)_b = ET_r F_i - \left(ET_r F_{background} \right)_i \left(\frac{NDVI_{full\,cover} - NDVI_i}{NDVI_{full\,cover} - NDVI_{bare\,soil}} \right) \tag{27}$$

where (ET$_r$F$_{background}$)$_i$ is the background evaporation on the image date (i) for bare soil, computed using a gridded FAO-56 two-stage evaporation model of Allen et al. (1998) with modification to account for 'flash' evaporation from the soil skin (Allen 2010a) or some other soil evaporation model such as Hydrus or DAISY. The soil evaporation model is on a daily timestep using spatially distributed precipitation, reference ET, and soil properties. (ET$_r$F$_i$)$_b$ is the resulting 'basal' ET image for a particular image date, representing a condition having NDVI amount of vegetation and a relatively dry soil surface. This parameter represents the foundation for later adjustment to represent the longer period.

3.1 Adjustment for cases of riparian vegetation

For riparian vegetation and similar systems, where soil water stress is not likely to occur due to the frequent presence of shallow ground water, an adjusted ET_rF is computed for the image date that reflects background evaporation averaged over the surrounding period in proportion to the amount of ground cover represented by NDVI:

$$\left(ET_rF_i\right)_{adjusted} = \left(ET_rF_i\right)_b + \overline{\left(ET_rF_{background}\right)}\left(\frac{NDVI_{full\,cover} - NDVI_i}{NDVI_{full\,cover} - NDVI_{bare\,soil}}\right) \tag{28}$$

where $\overline{\left(ET_rF_{background}\right)}$ is the average evaporation from bare soil due to precipitation over the averaging period (e.g., one month), calculated as:

$$\overline{\left(ET_rF_{background}\right)} = \frac{\sum_{1}^{n}\left(ET_rF_{background}\right)_i}{n} \tag{29}$$

Equations 5 and 6 can be combined as:

$$\left(ET_rF_i\right)_{adjusted} = ET_rF_i + \left(\overline{\left(ET_rF_{background}\right)} - \left(ET_rF_{background}\right)_i\right)\left(\frac{NDVI_{full\,cover} - NDVI_i}{NDVI_{full\,cover} - NDVI_{bare\,soil}}\right) \tag{30}$$

with limits $NDVI_{bare\,soil} \leq NDVI_i \leq NDVI_{full\,cover}$.

The outcome of this adjustment is to preserve any significant evaporation stemming from irrigation or ground-water and any transpiration stemming from vegetation, with adjustment only for evaporation stemming from precipitation to account for differences between the image date and that of the surrounding time period. In other words, if the initial ET_rF_i, prior to adjustment is high due to evaporation from irrigation or from high ground-water condition, much of that evaporation would remain in the adjusted ET_rF_i estimate.

3.2 Adjustments for non-riparian vegetation

The following refinement to Eq. 30 is made for application to non-riparian vegetation, to account for those situations where, during long periods (i.e., months), soil moisture may have become limited enough that even transpiration of vegetation has been reduced due to moisture stress. If the Landsat image is processed during that period of moisture stress, then the ET_rF value for vegetated or partially vegetated areas will be lower than the potential (nonstressed) value. This can happen, for example, during early spring when winter wheat may go through stress prior to irrigation or a rainy period, or in desert and other dry systems.

This causes a problem in that the method of Eq. 8 attempts to 'preserve' the ET_rF of the vegetated portion of a pixel that was computed by METRIC on the image date. However, when a rain event occurs following the image date, not only will the ET_rF of exposed soil increase, but any stressed vegetation will equally 'recover' from moisture stress and the ET_rF of the vegetation fraction of the surface will increase. This situation may occur for rangeland and dryland agricultural systems. It is therefore assumed that the ET_rF of nonstressed vegetation will be at least as high as the ET_rF of bare soil over the same time

period, since it should have equal access to shallow water. An exception would be if the vegetation were sufficiently stressed to not recover transpiration potential. However, this amount of stress should be evidenced by a reduced NDVI. A minimum limit is therefore placed, using the background ET_rF $\left(\overline{ET_rF_{background}}\right)$ for the period.

To derive a modified Eq. 8, it is useful to first isolate the 'transpiration' portion of the ET_rF. On the satellite image date, the bulk ET_rF computed by METRIC for a pixel, is decomposed to:

$$ET_rF_i = (1 - f_c)\left(ET_rF_{background}\right)_i + f_c\left(ET_rF_{transpiration}\right)_i \qquad (31)$$

where $ET_rF_{transpiration}$ is the apparent transpiration from the fraction of ground covered by vegetation, f_c. The f_c is estimated as $1 - f_s$, where f_s is the fraction of bare soil, and for consistency with equations 30, f_s is estimated as:

$$f_s = \left(\frac{NDVI_{full\,cover} - NDVI_i}{NDVI_{full\,cover} - NDVI_{bare\,soil}}\right) \qquad (32a)$$

so that:

$$f_c = 1 - \left(\frac{NDVI_{full\,cover} - NDVI_i}{NDVI_{full\,cover} - NDVI_{bare\,soil}}\right) \qquad (32b)$$

Eq. 31 is not used as is, since ET_rF_i comes from the energy balance-based ET image (i.e., from METRIC, etc.). However, one can rearrange Eq. 31 to solve for $ET_rF_{transpiration}$:

$$f_c\left(ET_rF_{transpiration}\right)_i = ET_rF_i - (1 - f_c)\left(ET_rF_{background}\right)_i \qquad (33)$$

Now, if $ET_rF_{transpiration}$ is limited to the maximum of the $ET_rF_{transpiration}$ on the day of the image, or the $\left(\overline{ET_rF_{background}}\right)$ for the period, then:

$$\left(ET_rF_{transpiration}\right)_{adjusted} = \max\left[\left(ET_rF_{transpiration}\right)_i, \overline{\left(ET_rF_{background}\right)}\right] \qquad (34)$$

Then the new ET_rF adjusted value becomes:

$$\left(ET_rF_i\right)_{adjusted} = (1 - f_c)\overline{\left(ET_rF_{background}\right)} + f_c\left(ET_rF_{transpiration}\right)_{adjusted}$$

$$or \qquad\qquad\qquad\qquad\qquad\qquad\qquad\qquad\qquad\qquad\qquad\qquad (35)$$

$$\left(ET_rF_i\right)_{adjusted} = (1 - f_c)\overline{\left(ET_rF_{background}\right)} + f_c \max\left[\left(ET_rF_{transpiration}\right)_i, \overline{\left(ET_rF_{background}\right)}\right]$$

where $\overline{\left(ET_rF_{background}\right)}$ is the average evaporation from bare soil due to precipitation over the averaging period (e.g., one month) and $ET_rF_{transpiration}$ is the original transpiration computed from Eq. 33. Eq. 33 and 35 can be combined so that:

$$
\left(ET_r F_i\right)_{adjusted} = (1 - f_c)\overline{\left(ET_r F_{background}\right)} +
$$
$$
+ \max\left[\left(ET_r F_i - (1 - f_c)\left(ET_r F_{background}\right)_i\right)_i , f_c\overline{\left(ET_r F_{background}\right)}\right] \tag{36}
$$

Only areas with bare soil or partial vegetation cover are adjusted. Pixels having full vegetation cover, defined as when NDVI > 0.75, are not adjusted. An example of an image date where the adjustment increased the $ET_r F$ for bare soil and partially vegetated areas is shown in Figure 2. Figure 3 shows an example of an image date where the $ET_r F$ from bare soil and partial vegetation cover was decreased by the adjustment.
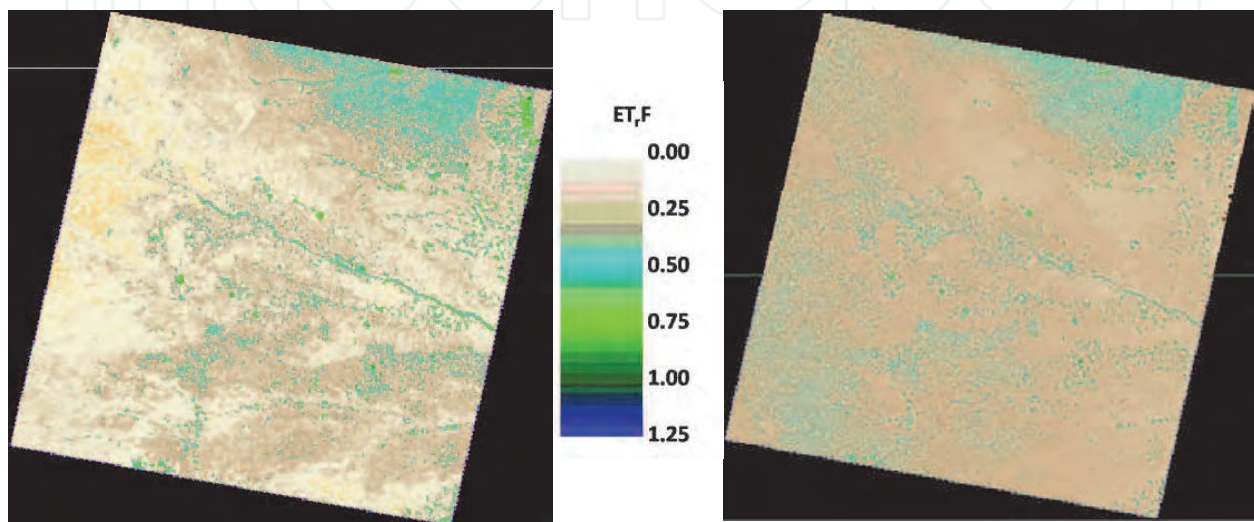
Fig. 2. $ET_r F$ in western Nebraska from May 9 1997 before (left) and after (right) adjustment for background evaporation representing the time period (~month) represented by that image. After Kjaersgaard and Allen (2010).
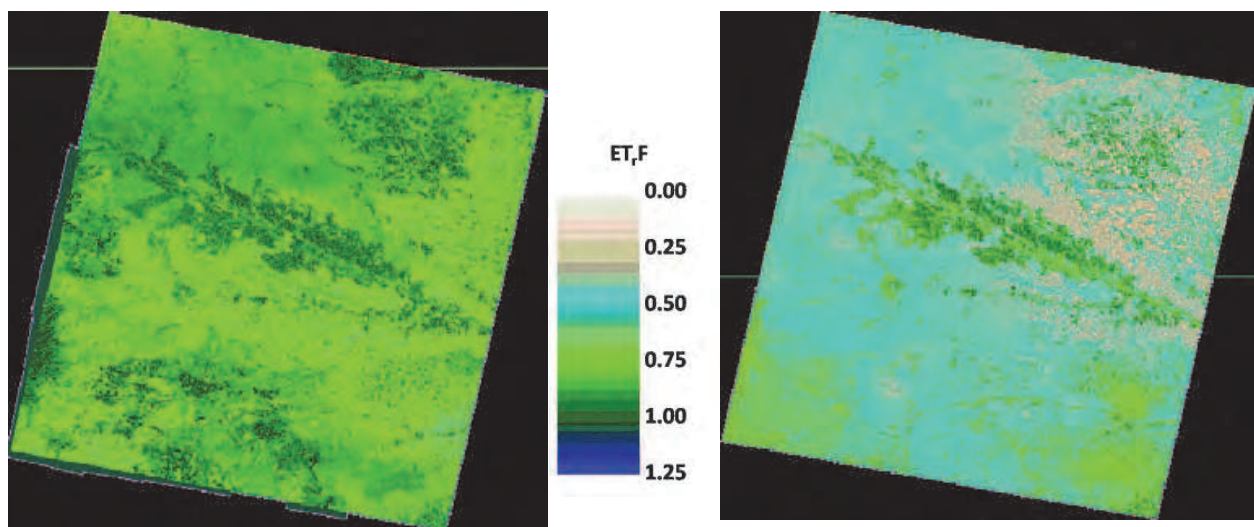
Fig. 3. ETrF in western Nebraska on August 13 1997 before (left) and after (right) adjustment to reflect soil evaporation occurring over the time period (~ 1 month) represented by that image. Note that irrigated fields with full vegetation cover having a substantial transpiration component were not affected by the adjustment. After Kjaersgaard and Allen (2010).
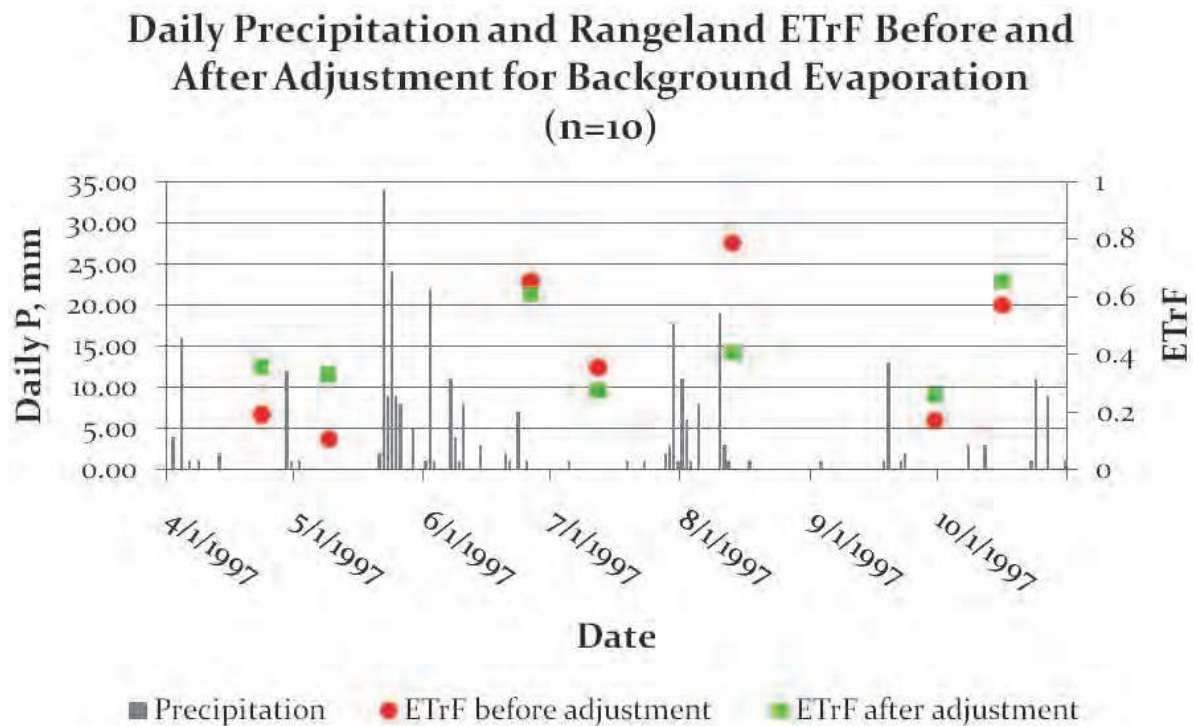
Fig. 4. Average ET_rF from ten rangeland locations in western Nebraska before and after adjustment. Also shown is the precipitation from the Scottsbluff HPRCC weather station (after Kjaersgaard and Allen 2010).
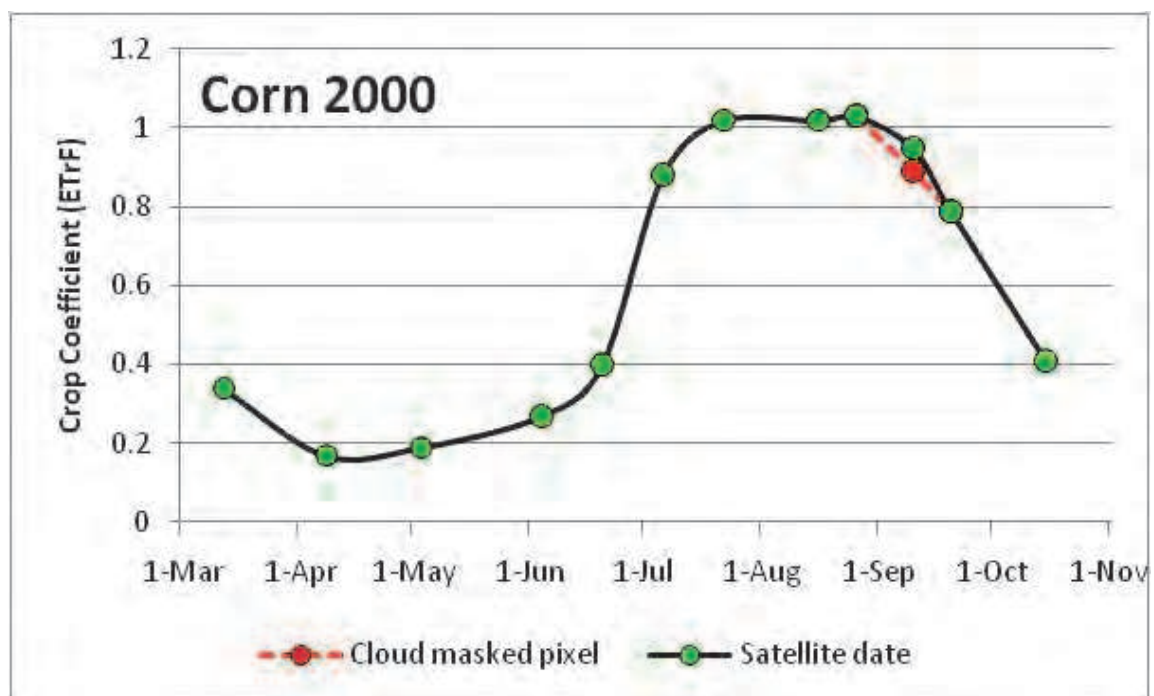

Fig. 5. Schematic representation of the linear cloud gap filling and the cubic spline used to interpolate between image dates for a corn crop. The green points represent image dates and the black line is the splined interpolation between points; the red point represents the value of ET_rF that is interpolated linearly from the two adjacent image dates had the field had cloud cover on September 10.

Average ET_rF on image dates before and after adjustment for background evaporation is shown in Figure 4 from ten rangeland locations in western Nebraska. For some image dates, such as early and late in the season, the adjusted ET_rF values are "wetter" than that represented by the original image. Similarly, for other images dates, such as in the middle of the growing season, the images were "drier". The adjustment for one image in August reduced the estimated ET for the month of August by nearly 50%, which is considerable.

It is noted, that the images no longer represent the ET from the satellite overpass dates after the adjustment for background evaporation. The images are merely an intermediate product that is used as the input into an interpolation procedure when producing ET estimates for monthly or longer time periods.

4. Dealing with clouded parts of images

Satellite images often have clouds in portions of the images. ET_rF cannot be directly estimated for these areas using surface energy balance because cloud temperature masks surface temperature and cloud albedo masks surface albedo. Generally ET_rF for clouded areas must be filled in before application of further integration processes so that those processes can be uniformly applied to an entire image. The alternative is to directly interpolate ET_rF between adjacent (in time) image dates or to run some type of daily ET process model that is based on gridded weather data.

In METRIC applications (Allen et al. 2007b), ET_rF for clouded areas of images is usually filled in prior to interpolating ET_rF for days between image dates (and multiplying by gridded ET_r for each day to obtain daily ET images). A linear interpolation, as shown in Figure 5, is used to fill in ET_rF for clouded portions of images rather than curvilinear interpolation that is used to interpolate ET_rF between nonclouded image portions because some periods between cloud-free pixel locations can be as long as several months. Often, the change in crop vegetation amount and thus ET_rF is uncertain during that period. Thus, the use of curvilinear interpolation can become speculative.

Image processing code can be created to conduct the 'filling' of cloud masked portions of images. The code used with METRIC accommodates up to eight image dates and corresponding ET_rF, with conditionals used to select the appropriate set of images to interpolate between, depending on the number of consecutive images that happen to be cloud masked for any specific location. Missing (clouded) ET_rF for end-member images (those at the start or end of the growing season) must be estimated by extrapolation of the nearest (in time) image having valid ET_rF, or alternatively, for end-member images, a 'synthetic' image can be created, based on daily soil water balance or other methods, to be used to substitute for cloud-masked areas. Often, the availability of images for early spring is limited due to clouds. In these cases, the ET_rF values in the synthetic image are based on a soil-water balance–weather data model, such as the FAO-56 evaporation model or Hydrus or DAISY, applied over the month of April, for example, to provide an improved estimate of ET_rF over the early season. The synthetic image(s) are strategically placed, date-wise, so that the cloud-filling process and the subsequent cubic spline process used to interpolate final ET_rF has end-points early enough in the year to provide ET_rF for all days of interest during the growing period.

Examples of cloud masking for a METRIC application in western Nebraska are shown in Figure 6. Black portions within each image are the areas masked for clouds. ET_rF for cloud

masked areas was filled in for individual Landsat dates prior to splining ET_rF between images. The cloud mask gap filling and interpolation of ET between image dates entails interpolating the ET_rF for the missing area from the previous and following images that have ET_rF for that location.
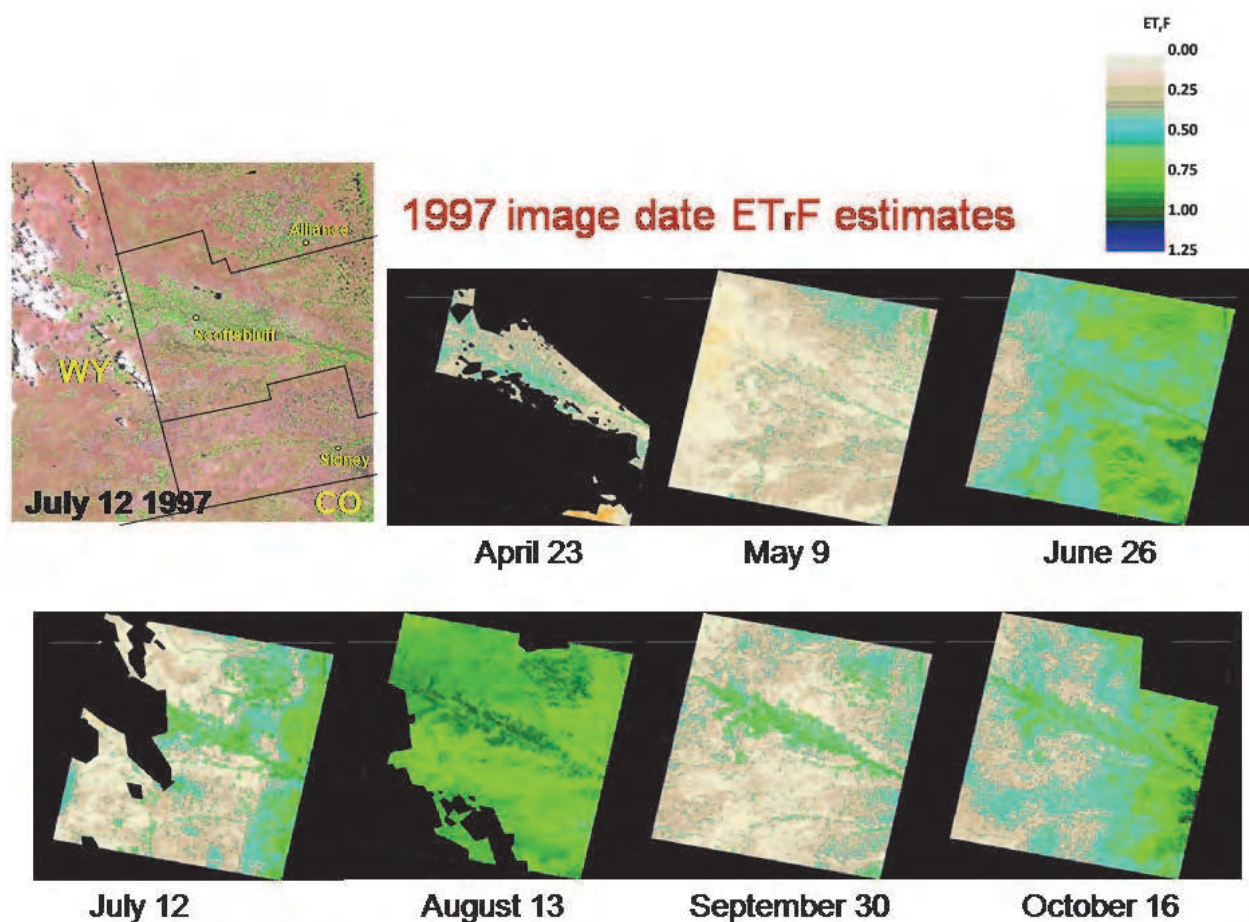

Fig. 6. Maps of cloud masked ET_rF from seven 1997 images dates. The geographical extent of the North Platte and South Platte Natural Resource Districts boundaries and principal cities is shown on the image in the top left corner (after Kjaersgaard and Allen 2010).

In current METRIC applications, gaps in the ET_rF maps occurring as a result of the cloud masking are filled in using linear time-weighted interpolation of ET_rF values from the previous image and the nearest following satellite image date having a valid ET_rF estimate, adjusted for vegetation development. The NDVI is used to indicate change in vegetation amount from one image date to the next. The principle is sketched in Figure 7, where a location in the two nearest images (i-1 and i+1) happen to be clouded. During the gap filling, the interpolated values for the clouded and cloud-shadowed areas are adjusted for differences in residual soil moisture between the image dates occurring as a result of heterogeneities in precipitation (such as by local summer showers) in inverse proportion to NDVI and by adding an interpolated 'basal' ET_rF from the previous and following satellite image dates. This procedure is needed to remove artifacts of this precipitation-derived evapotranspiration that are unique to specific image dates but that may not be representative of the image date that is to be represented by the ET_rF from the previous and

the following images. A comparison between cloud gap filling without and with adjustment for background evaporation is shown in Figure 8. An additional example from Singh et al. (2008) is shown in Figure 9 for central Nebraska, where filled in areas that were clouded are difficult to detect due to the adjustment for background evaporation via a daily process model.
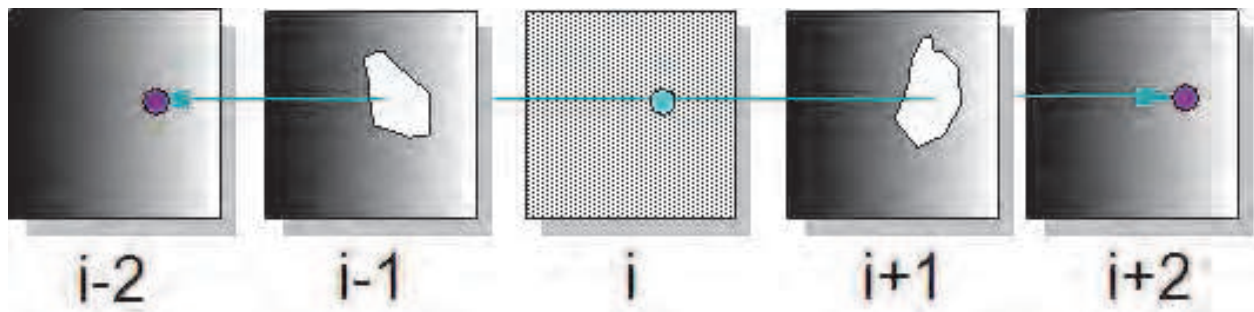

Fig. 7. Principle of cloud gap filling. "i" is the image having cloud masked areas to be filled; "i-1" and "i-2" are the two earlier images than image I; "i+1" and "i+2" are the two following images.
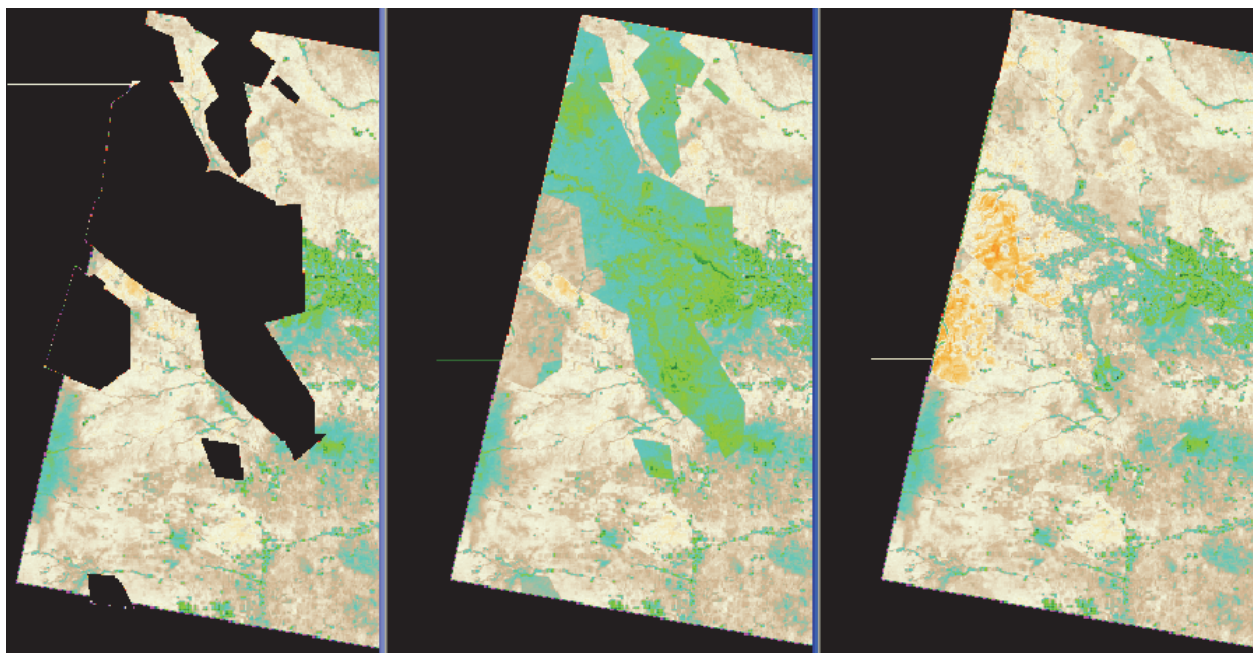
Fig. 8. Maps of ET_rF from Landsat 5, July 12 1997, in western Nebraska after cloud masking (left) (black indicate areas removed during cloud masking or background); and after cloud gap filling without (center) and with (right) adjustment for vegetation amount and background evaporation from antecedent rainfall. The August 13 image from which part of the ET_rF data was borrowed was quite wet from precipitation, and thus had high ET_rF for low-vegetated areas, and therefore created substantially overestimated ET_rF for July 12 in the filled areas (center). After Kjaersgaard and Allen (2010).
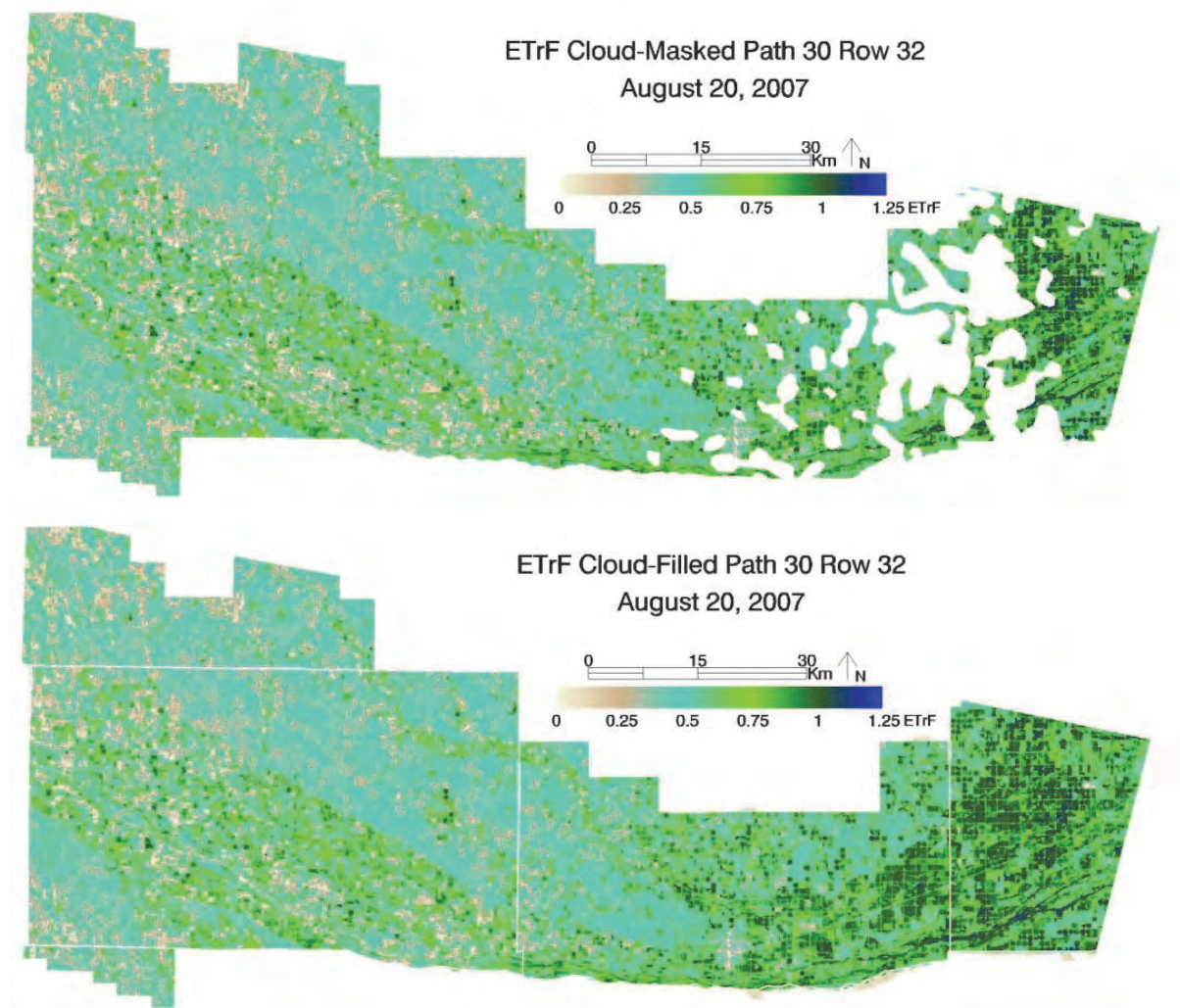
Fig. 9. ETrF product for August 20, 2007 over the Central Platte Natural Resources District, Nebraska, with clouded areas masked (top) and filled (bottom) using a procedure that adjusted for background evaporation from antecedent precipitation events (after Singh et al., 2008).

5. Other remaining challenges with operational models for spatial ET

In addition to challenges in producing daily time series of spatial ET, as described in the previous section, other challenges remaining with all models, snapshot and process models alike include the following. These were described by Allen et al., (2010) and include estimation of aerodynamic roughness at 30 m scale; aerodynamic roughness and wind speed variation in complex terrain and in tall, narrow vegetation systems such as riparian systems; and estimation of hemispherical reflectance from bi-direction reflectance in deep vegetation canopies from nadir-looking satellites such as Landsat. Other remaining challenges include estimation of soil heat and aerodynamic sensible heat fluxes in sparse desert systems and in playa and estimation of ET over 24-hour periods using one-time of day observation (for example ~1000 solar time for Landsat) based on energy balance, especially where substantial stomatal control exists (desert and forest). METRIC capitalizes on using weather-based reference ET to make this transfer over time, which has been shown

to work well for irrigated crops, especially in advective environments (Allen et al. 2007a). However, the evaporative fraction, as used in early SEBAL (Bastiaanssen et al. 1998a) and other models may perform best for rainfed systems where, by definition, advection can not exist. Therefore, a mixture of ET_rF and EF may be optimal, based on land-use class.

6. Conclusions

Satellite-based models for determining evapotranspiration (ET) are now routinely applied as part of water and water resources management operations of state and federal agencies. The very strong benefit of satellite-based models is the quantification of ET over large areas. Strengths and weaknesses of common EB models often dictate their use. The more widely used and operational remote sensing models tend to use a 'CIMEC' approach ("calibration using inverse modeling of extreme conditions") to calibrate around uncertainties and biases in satellite based energy balance components. Creating 'maps' of ET that are useful in management and in quantifying and managing water resources requires the computation of ET over monthly and longer periods such as growing seasons or annual periods. This requires accounting for increases in ET from precipitation events in between images. An approach for estimating the impacts on ET from wetting events in between images has been described. This method is empirical and can be improved in the future with more complex, surface conductance types of process models, such as used in Land surface models (LSM's). Interpolation processes involve treatment of clouded areas of images, accounting for evaporation from wetting events occurring prior to or following overpass dates, and applying a grid of daily reference ET with the relative ET computed for an image, or a direct Penman-Monteith type of calculation. These approaches constitute a big step forward in computing seasonal ET over large areas with relatively high spatial (field-scale) definition, where impacts of intervening wetting events and cloud occurrence are addressed.

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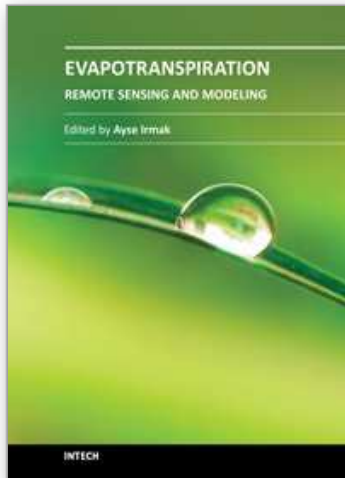
Evapotranspiration - Remote Sensing and Modeling

Edited by Dr. Ayse Irmak

This edition of Evapotranspiration - Remote Sensing and Modeling contains 23 chapters related to the modeling and simulation of evapotranspiration (ET) and remote sensing-based energy balance determination of ET. These areas are at the forefront of technologies that quantify the highly spatial ET from the Earth's surface. The topics describe mechanics of ET simulation from partially vegetated surfaces and stomatal conductance behavior of natural and agricultural ecosystems. Estimation methods that use weather based methods, soil water balance, the Complementary Relationship, the Hargreaves and other temperature-radiation based methods, and Fuzzy-Probabilistic calculations are described. A critical review describes methods used in hydrological models. Applications describe ET patterns in alpine catchments, under water shortage, for irrigated systems, under climate change, and for grasslands and pastures. Remote sensing based approaches include Landsat and MODIS satellite-based energy balance, and the common process models SEBAL, METRIC and S-SEBS. Recommended guidelines for applying operational satellite-based energy balance models and for overcoming common challenges are made.

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