## ASSESSING NATURAL MORTALITY OF ANCHOVY FROM SURVEYS' POPULATION AND BIOMASS ESTIMATES

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#### Abstract

: In ordinary catch at age models, natural mortality conditions and determines the catchabilities at age obtained for the surveys which tune the assessments. For the same reason, inferring the Natural mortality of a fish stock from surveys' estimates, require some assumption of the survey catchabilities at age. The anchovy fishery in the Bay of Biscay has been closed since 2005 up to 2010, due to low biomass levels. In the mean time, and since 1989, the population has been directly monitored by two independent surveys, acoustic and egg (DEPM) surveys, which supplied the basic information for the assessment of this stock carried out by ICES. The closure of the fishery supposes a major contrast on total mortality levels affecting the population in comparison with the former period of exploitation, suitable to get estimates of Natural and Fishing mortalities, under the assumption of no major changes in M occurring between both periods. Log linear models and a seasonal integrate catch at age analysis were tuned to the fishery and two series of surveys under the assumption of constant catchabilities across ages for the two surveys' population estimates. An analysis of the period 1987-2009, searching for a single and constant natural mortality at age, results in minimum residual SSQ for an M around 0.8 . But a better result is obtained when a pattern of increasing natural mortality at age is allowed, a possibility suggested since a long time for this type of short living species.


Keywords: Anchovy; Natural mortality, M at age, Integrate assessment.
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## 1. Introduction

Natural mortality (M) is a key parameter scaling the outcomes from any assessment concerning population and biomass levels. Despite its relevance, it often has to be assumed due to the difficulties to estimate it separately from the fishing mortality (F) (Cotter et al. 2004). Even in cases when a direct monitoring of the population is made by acoustic or egg production methods, the distinction between M and F is hard to be made unless the catchability of the survey is known or assumed, and usually the total mortality Z is best assessed (Pope, . In the absence of proper estimates, indirect estimation of this parameter is made from available meta analysis of M from a wide range fish species, of different growth dynamics and environmental conditions (Pauly 1980, Gislason et al.2010). Certainly, the best method to estimate this parameter is analysing two periods of high contrast in the level of fishing mortality (i.e. fishing effort) as the difference in the total mortality should be proportional to the change in effort and this allows splitting fishing from natural mortality (Gulland 1983, Vetter 1988, Sinclair 2001, Wang et al 2009).

The life history of fishes suggest that natural mortality will change throughout the successive life stages from very high values in the egg larval and juvenile stages to medium or low values across its mature life span until an increasing natural mortality in senescence, and several models have been proposed to model this pattern at age of the natural mortality values (Chen and Watanabe 1988, Caddy 1991, 1996, Abella 1997). Short living species, as engraulidae, sandeels, capelin etc have usually natural mortalities higher than 0.6 in their adult phase (Gislason et al.2010) and for them the senescence increase of M is particularly expected to be noticeable (Beverton 1963). In some cases, as for sandeels, this increasing M with age has been evidenced (Cook 2004) and of course, an extreme case is that of capelin showing massive mortalities after their first spawning. One the major difficulty in evidencing changing natural mortalities with age is the confusion between differential catchability (and availability) phenomena with natural mortality patterns at age (Caddy 2001).

The Bay of Biscay anchovy is a short living species, rarely over passing its third year of life, which is yearly monitored by two independent surveys: an acoustic survey (Pelgas series -Ifremer-) and a Daily Egg production method (DEPM Bioman series -AZTI-). Both surveys supply biomass and population at age estimates, which constitute the basic information for the assessment of this stock carried out by ICES. This anchovy was assessed until 2004 by ICA (Integrated Catch at age analysis, Patterson and Melvin 1996) (ICES 2005), being subsequently assessed by a Bayesian two stage biomass model (Ibaibarriaga et al. 2008). In both cases natural mortality was assumed to be constant at 1.2. This value was inferred from the direct estimates of the population at age by the Daily Egg Production method (DEPM), under the assumption of unbiased absolute estimates of the population, and accounting for the catch removals (Uriarte 1996). While the Bayesian two stage biomass model assumes constant catchabilty at age of surveys, ICA calculated catchabilties at age for the surveys if demanded. When both surveys were assumed to give relative indexes of abundance, then their respective catchabilities at age were $50 \%$ higher for age 2 than for ages 1 or 3 (ICES 2005); this is a result hard to accept given the sufficient coverage of the surveys of the spatial distribution of the stock. Certainly an alternative explanation of that result could be due to a differential mortality at age of anchovies.

The closure of the anchovy fishery in the Bay of Biscay between 2005 and 2010, due to low biomass levels, give a unique occasion to check the actual level of natural mortality and the potential for a pattern of changing natural mortality at age. The closure of the fishery supposes a major contrast on total mortality levels affecting the population in comparison with the
former period of exploitation, suitable to get estimates of Natural and Fishing mortalities, under the assumption of no major changes in M occurring between both periods.
In this paper we carry out an analysis to estimate the most likely natural mortality values of this anchovy population by two approaches: a) we first perform a direct analysis (by linear models) of the total mortalities between successive survey estimates of the population in numbers at age and analyse the changes between the period prior and after the closure of the fishery. This made globally for all age classes together and for the 1 or older age groups separately. b) Next, the natural mortality is also estimated by regression of the total mortality on an indicator proportional to F derived from the ratio of the catches over the average survey estimates of abundance. And finally c) An integrate catch at age analysis with a seasonal separable model of fishing mortality is applied to the analysis of the fishery in order to see what levels of natural mortality optimise the assessment, under the assumption of no differential catchability at age affecting the surveys.

## 2. Material and Methods

## - Data:

Population at age estimates are available from the acoustic and DEPM surveys method. These estimates, in the way they have been provided to ICES, are split in either three (1-3+) or two age groups (1-2+). DEPM surveys, since 1987 and acoustic surveys since 2000 report population at ages 1,2 and $3+$ (with $3+$ referring to three year old and older anchovies), whilst previous years of acoustic estimates report the population at ages 1 and $2+$ (with $2+$ referring to 2 year old or older fishes) (in 1989, 1991\&92 and in 1997, Table 1). The surveys are carried in May at mid spawning time, when the bulk of the Spanish fishery takes place. For each survey and from every pair of consecutive population at age estimates, Zs, a estimates were derived for the ages 1 (from age 1 to 2 ), $1+$ (from ages $1+$ to $2+$ ) and $2+$ (from ages $2+$ to $3+$ ) as the $\log$ of the ratio of successive age classes in consecutive surveys (Table 2).
$\ln \left[\frac{U_{a, y}}{U_{a+1, y+1}}\right]=\ln \left[\frac{N_{a, y} \cdot Q_{a, s} \cdot \exp \left(\varepsilon_{s, y}\right)}{N_{a+1, y+1} \cdot Q_{a+1, s} \cdot \exp \left(\varepsilon_{s, y+1}\right)}\right]=Z_{a, y}+\ln \left[\frac{Q_{a, s}}{Q_{a+1, s}}\right]+\varepsilon_{s}=F_{a, y}+M_{a, y}+\ln \left[\frac{Q_{a, s}}{Q_{a+1, s}}\right]+\varepsilon_{s}$

$$
\hat{Z}_{a, y, s}=\ln \left[\frac{U_{a, y, s}}{U_{a+1, y+1, s}}\right]=F_{a, y}+M_{a, y}+\ln \left[\frac{Q_{a, s}}{Q_{a+1, s}}\right]+\varepsilon_{y, s} \quad \text { equation 1 }
$$

Notice from the above expression that the ratio of successive abundance indices of the same cohort will be equal to the total mortality Z only if the catchabilities of the successive age classes are equal. This is the first assumption we explicitly make in this study. In addition the larger the observation errors the poorer the estimates of $Z$ will be. The second assumption made in the analysis is that the errors of the observations made by the surveys are log normal and of equal magnitude for both surveys (the requirement of homocedasticity for the ANOVA performed later).

Mean $Z_{1+}$ estimates should provide an overall estimate of $Z$ common to all ages, being roughly proportional to the relative abundance of age classes in the population, whilst $\mathrm{Z}_{1}$ and $\mathrm{Z}_{2+}$ should provide indications of the level of total mortality for the one year old and older fishes respectively. Notice that changes in the $Z$ between these two age groups for the period when the fishery was open can be due either to changes in the fishing mortality or in the level of natural mortality, provided the surveys do not show any differential catchability at age. However for the recent period when the fishery has been closed, Z equals M for all ages and any change in Z should be indicative of changes in M with age.
It should be noted that as surveys are made at mid spawning time, these $Z$ estimates refer to the mortality occurring between successive spawning periods and not over the official year calendar.

IN order to make use of the whole set of data for the estimation of M through a linear model, an indicator of the fishing intensity for each year was estimated as the ratio of the catches between surveys and the mean abundance of the cohort between surveys. This follows from the catch equation:
$C_{a, y}=F_{a, y} \cdot \bar{N}_{a, y}=F_{a, y} \cdot \frac{N_{a, y}}{Z_{a, y}} \cdot\left(1-e^{-Z_{a, y}}\right) \Rightarrow$
$F_{a, y}=\frac{C_{a, y}}{\bar{N}_{a, y}}=\frac{C_{a, y}}{N_{a, y, s} \cdot\left(1-e^{-Z_{a, y, s}}\right) / Z_{a, y, s}}=\frac{C_{a, y}}{U_{a, y, s} \cdot\left(1-e^{-Z_{a, y s}}\right) / Z_{a, y, s}} \cdot Q_{a, s}=R C \cdot f \quad$ Equation 2
Where $f$ is a coefficient of proportionality of the relative catches $(R C)$ to F , which equals $Q_{a, s}$ the catchability coefficient when the mean abundance is known without error from the surveys. Notice that in order to make $N_{a, y}$ (the numbers at the beginning of the period) equal to the mean abundance in the period the required factor is $\left(1-\exp \left(-Z_{a, y}\right)\right) / Z_{a, y}$. This is a factor ranging between 0 and 1 and usually around 0.5 . One inconvenience of this approach is that the fitted Z will appear in the independent covariate (RC). As a sensitivity analysis, alternative formulation of RC were made and essayed in this paper, as:
RCSurvey $=\frac{C_{a, y}}{U_{a, y, s} \cdot\left(1-e^{-Z_{a, y, s}}\right) / Z_{a, y, s}}$
Equation 3
RCSurvey $2=\frac{C_{a, y}}{\left(U_{a, y, s}+U_{a+1, y+1, s}\right) / 2}$
Equation 4
RCjoint $=\frac{C_{a, y}}{\left[\left(U_{a, y, s=A}+U_{a, y, s=D E P M}\right) / 2\right]\left(1-e^{-Z_{a, y, *}}\right) / Z_{a, y,{ }^{*}}}$
Equation 5

The second estimator takes as mean population abundance the mean of the abundances provided by the surveys at the beginning and the end of the period (i.e. the estimates of the cohort provided by the survey in year y and $\mathrm{y}+1$ ).
The third estimator of RC tries to supply a single indicator of fishing intensity for each year based on both surveys estimates of the abundance at the beginning of the period and their mean $Z\left(Z_{a, y, *}=\left(Z_{a, y, A}+Z_{a, y, D E P M}\right) / 2\right)$ for the period.

In all cases, the catches considered are those comprised between May 15 of year $y$ and May 15 of year $y+1$, for the ages a and $a+1$ in each respective year. Original Catches at age (in numbers) with their mean weights are reported by seasons in ICES until the closure of the fishey in 2005 (ICES 2005).

## - Analysis carried out:

a) Analysis of Variance of Total mortality (ANOVA)

We first test the consistency of the $Z$ estimates by surveys across years for all ages
$\hat{Z}_{a, y, s}=$ Age $_{a}+$ Year $_{y}+$ Survey $_{s}+\varepsilon_{s, y}$
(Models A1)
With Age being the intercept for $Z 1+$ or a factor for the joint analysis of $Z 1$ and $Z 2+$, Year and Survey being taken as factors.

Next, we tested the effect of closure on the overall levels of $Z$ and by ages.
$\hat{Z}_{a, y, s}=\bar{Z}+$ Fishing $_{i}+$ Survey $_{s}+\left[\text { Old }_{a}\right]^{2}+$ Interactions $+\varepsilon_{a, y, s}$
(Models A2)
With Fishing indicating a period with fishing $(\boldsymbol{F i s h i n g}=0)$ or without fishing $(\boldsymbol{F i s h i n g}=1)$.
Survey is a factor indicating they type of survey generating Z (DEPM=0 or Acoustics=1).

And Old being a factor reflecting whether age is $1(\boldsymbol{O l d}=1)$ or $2+(\boldsymbol{O l d}=1)$, put in brackets as it only appears when $\mathrm{Z}_{1}$ and $\mathrm{Z}_{2+}$ are being analysed together, but not when dealing with $\mathrm{Z}_{1+}$ Interactions are the potential first order and second order interactions of the former variables, which were initially checked.
Finally $\varepsilon_{a, y, s}$ is assumed to be a normal random variable $\mathrm{N}(0, \sigma)$ common for all ages, years and surveys.
b) Linear models of Total mortality based on regression on the fishing intensity (relative catches) to obtain estimates of natural mortality.
Here the following model will be statistically tested for the different potential significant coefficients:
$\hat{Z}_{a, y, s}=\ln \left[\frac{U_{a, y, s}}{U_{a+1, y+1, s}}\right]=M_{a, y, s}+F_{a, y, s}+\varepsilon_{a, y}=M+\left[m \cdot\right.$ Old $\left._{a}\right]+f_{s} \cdot R C_{y}+s \cdot$ Survey + Interactions $+\varepsilon_{a, y, s}$ (Models B1)

With $\boldsymbol{M}$ being the intercept, or natural mortality at age 1 (or $1+$ ).
Old is a dummy variable being 0 for age 1 and 1 for age $2+$, and $\boldsymbol{m}$ is the coefficient of increase of natural mortality for $2+$ fishes. It is put in brackets as it only appear when $\mathrm{Z}_{1}$ and $\mathrm{Z}_{2+}$ are being analysed together, but not when dealing with $\mathrm{Z}_{1+}$
$\boldsymbol{R C}$ is the Relative Catches between surveys of the respective age $a$ in year $y$. And $\boldsymbol{f}$ is the coefficient of proportionality of $\boldsymbol{R C}$ to $F$
Survey is a dummy variable being 0 for DEPM and 1 for Acoustics, and $s$ is the coefficient reflecting any potential effect of the surveys on the Z estimates.
Interactions are the potential first order and second order interactions of the former variables, which were initially checked.
c) Integrated Seasonal $\underline{C}$ atch at $\underline{A g e} \underline{\text { Analysis tuned to the surveys (SICA model). }}$

The convenience of using a Seasonal Integrated Catch at Age analysis (SICA) instead of the standard ICA software of Patterson and Melvin (1996) is that the latter is designed to operate on annual basis, while the former is designed to assess different seasonal fisheries, allowing at the same time to change the natural mortality within the year. In addition in SICA a Qflat catchability model is implemented for the purposes of this analysis (forcing catchability at age of the surveys to be equal for all ages), something not allowed in the standard ICA.

We have fitted SICA with the Qflat catchability model for the two surveys allowing to optimise for M1+ or for M1 and M2+, in order to find out what natural mortality pattern optimises the fitting. In practice, as the model is implemented in Excel, a systematic optimization procedure across a range of M1+ or M1 (optimising for M2+) was made. A M range between 0.4 and 1.7, in steps of 0.1 , was covered. The results are the residual sum of squares (RSSQ) to the modelled input data throughout the range of M values, which jointly define a line allowing to look at the optimum range of M values.

SICA Details: The model is implemented in an ad hoc Excel work book designed for this fishery which fits a seasonal separable forward VPA to the Catches at age of five different fisheries operating over three periods of the year (ICES 2005), as follows:

Specifications of weights on the catches at age by Fisheries
Seasons / Ages
Winter Frech Fishery
Spring-French
Spring-Spanish
2nd Half of the year-France
2nd Half of the year-Spain

Relative weights at age:

|  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Relative weights at age: |  |  |  |  |
| $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{2}$ |  |  |
| 0 | 1 | 1 |  |  |
| 0 | 1 | 1 |  |  |
| 0 | 1 | 1 |  |  |
| 0 | 1 | 1 |  |  |
| 0.02 | 1 | 1 |  |  |


| INPUT |  |  |  |  |  |  |  |
| :--- | :--- | :--- | ---: | ---: | :---: | :---: | :---: |
| General Weighting factor for the fishery |  |  |  |  |  |  |  |
| $3+$ | Relative to Spring Weighting factors |  |  |  |  |  |  |
| 0.5 | 0.24 | Seasons | Duración/Duration |  |  |  |  |
| 0.5 | 0.14 | Winter | 2.67 | 0.2225 |  |  |  |
| 0.5 | 1 | Spring | 3.33 | 0.2775 |  |  |  |
| 0 | 0.73 | Semestre 2 | 6 | 0.5 |  |  |  |
| 0.5 | 0.18 | Total (::12) | 12 |  |  |  |  |

The major fisheries are the Spring Spanish fishery and the $2^{\text {nd }}$ half of the year French fishery which account for about $44 \%$ and $32 \%$ of the annual international catches.
Here below the average catches by fisheries and relative weighting factors in the assessment are presented:

| 1990-2004 | France | Spain Catch | Internation France |  | Spain | International \% | Relative Weighting factors |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Averages | Catch |  | Catch | \% | \% |  | France | Spain |
| March | 3080 | 0 | 3080 | 11\% |  | 11\% | 0.24 |  |
| June | 1753 | 12597 | 14349 | 6\% | 44\% | 50\% | 0.14 | 1.00 |
| 2ndSemeste | 9192 | 2320 | 11511 | 32\% | 8\% | 40\% | 0.73 | 0.18 |
| Total | 14025 | 14916 | 28941 | 48\% | 52\% | 100\% |  |  |

Catches are modelled up to age 3+ (older ages are negligible) except for the French fishery of the $2^{\text {nd }}$ half of the year for which a plus group is made from age $2+$; this is made because up to 1997 null or few catches of 3 years old anchovies were reported, whereas afterwards they have been reported in non negligible quantities, giving an indication of different reliability of those catches through the period (therefore a plus group may be preferable in this case for fitting purposes). The fisheries can operate in parallel; as happens with the Spanish and French fisheries operating during the spring and $2^{\text {nd }}$ half of the year. Catches in numbers and mean weights at age were reported in ICES (2005). Catches in tonnes are also used for the fitting, so that SOPs of modelled catches should match as much as possible actual catches. In this way this additional fitting terms act more as a penalty from deviation of cumulative catches, so that errors across ages in the fitting are somehow force to partly balance in order to still match total catches.

The modelled average population during the spring period is tuned to the Acoustic and DEPM spawning biomass and population at age estimates. The tuning indices can be used either as relative (linear models of catchability) or as absolute indices of abundance, similar to the choices allowed in the ICA assessment. In addition, for our analysis, the tuning indices (the DEPM and the Acoustic estimates) can be used as relative indexes with flat catchabilities at age, so that a single catchability by survey is estimated and applied equally to all ages. Both the population in numbers at age and Biomass (SSB) indices are used for the fitting. However, the fitting to SSB indices do not require a catchability parameter, because only the population at age estimates derived from the surveys are used to fit the catchabilities by survey. Modelled SSB as estimated by a survey is just the product of the modelled numbers at age estimates for the surveys by the weights at age in the population. In this way, consistency is assured between the catchability at age estimates and SSB estimates for the surveys. In addition, the residual sum of squares between the modelled and observed biomass by the surveys contribute to the total fitting even in the years when no age estimates from the surveys were available. This implies in turn that the years when only a biomass index is provided by a survey do not contribute to the fitting of the catchabilities at age. As such 14 out of 16 acoustic estimates are used for tunning the catchabilities at age (because the other 2 cruises have no age index). And for the same reason only 19 out of 22 cruises tune the catchability at age for the DEPM.

Inputs of seasonal Catches at age and populations at age estimates from surveys are assumed to have lognormal errors. Minimizations are made on log residuals.

## Operating Model

## Population at age:

Usual survival exponential model (Ricker 1975) and catch equation (Baranov 1918)
Separability model for fishing mortality defines for each age, year and period-fishery of the year

$$
F_{a, y, p}=F_{r e f, y, p} \cdot S_{a, p}
$$

Where $F_{r e f, y, p}$ is the fishing mortality in year y and period-fishery p for the age of reference, which in this study is age $2\left(F_{r e f, y, p}=F_{2, y, p}\right)$ for all the seasonal fisheries.
$S_{a, p}$ is the selectivity for each age typical of every seasonal fishery and relative to the age of reference (age 2 , which has a fixed selectivity value of 1 ).

Natural Mortality model
Natural mortality can be set fixed for all years and ages, or can be estimated (common for all years) and allowed to change for age $2+$ as follows:

$$
M_{2+}=M_{1} \cdot \text { Mfactor }_{2+}
$$

Mfactor $_{2+}$, if included, is estimated and kept constant across years. This factor applies by the first time to age 2 during the second half of the year, i.e. just after the spring estimates of the population by the surveys. In this way the parallelism between the M estimates in the log lineal models above and in the current SICA model is maximized.

Objective function:
The Objective function is a sum of squared log residuals defined for the tuning survey indices of biomass and population at age estimates and for the catches at age and catches in tonnes of the different seasonal fisheries defined above.

WSSQTotal =
SSQCapt $_{\text {age }}+$ SSQCapt $_{\text {weight }}+$ SSQSurveys $_{\text {age }}+$ SSQSurveys $_{\text {weight }}$
Where residuals to the catches at age (SSQCapt ${ }_{\text {age }}$ ) are:
$\sum_{a g e s} \sum_{1987}^{2006} \sum_{p=1}^{5} \lambda_{a, y, p} \cdot\left(\operatorname{Ln}\left(C_{a, y, p} / \hat{C}_{a, y, p}\right)\right)^{2}$
With p referring to the following fisheries:
p Fishery
1 Winter Frech Fishery
2 Spring-French
3 Spring-Spanish
4 2nd Half of the year-Spain
5 2nd Half of the year-France
and catches in weight are just based on the comparison of SOPs of modelled catches and the actual catches

In addition
for DEPM and Acoustics population at age estimates the fitting is
$\sum_{\text {ages year }}^{2009 \text { survers }} \sum_{v} \lambda_{a, y, v} \cdot\left(\operatorname{Ln}\left(U_{a, y, v} / \hat{U}_{a, y, v}\right)\right)^{2}$
Where the modelled estimate is:
$\hat{U}_{a, y, v}=Q_{a, v} \cdot \bar{N}_{a, y, v}=Q_{a, v} \cdot \frac{\hat{N}_{a, y, e} \cdot e^{-\alpha_{v} \cdot z_{a, y, e}}}{\left(\alpha_{v}-\omega_{v}\right) \cdot Z_{a, y, e}} \cdot\left(1-e^{-\left(\alpha_{v}-\omega_{v}\right) \cdot Z_{a, y, e}}\right)$
Where, suffix $\boldsymbol{v}$ refers to acoustic or DEPM surveys, suffix $\boldsymbol{e}$ refers to the spring period, $\boldsymbol{a}$ and $y$ for age and year. $W$ is mean weight, $Z$ is total mortality and $N$ the population in numbers.
For Qflat model a single Catchability $Q_{v}$ for all ages is fitted and if desired catchability can be
set equal to 1 (when the survey is taken as absolute estimator of abundance). Suffix $\boldsymbol{a}$ reaches for acoustics age 2+ until 1999 and subsequently to age 3+ as for the whole DEPM series.

And for the aggregate indices of acoustic or DEPM the index is modelled as (omitting Vulneravility):

$$
\hat{U}_{y, v}=\sum_{a g e s} Q_{a, v} \cdot \bar{N}_{a, y, v} \cdot W_{a, y, v}^{\prime}=\sum_{a g e s}\left[Q_{a, v} \cdot \frac{N_{a, y, e} \cdot e^{-\alpha_{v} \cdot Z_{a, y, e}}}{\left(\alpha_{v}-\omega_{v}\right) \cdot Z_{a, y, e}} \cdot\left(1-e^{-\left(\alpha_{v}-\omega_{v}\right) \cdot z_{a, y, e}}\right) \cdot W_{a, y, v}^{\prime}\right]
$$

where no additional catchability parameters appear.
Weighting factors: tunning data and fishery catches at age can be weighted.
Fishery weighting factors were set proportional to the catches they actually produce, and were set relative to the Spring Spanish fishery due the fact it has usually produced the largest catches. Weighting factors for the catches at age were set equal to 0.02 for age 0 in any fishery since this catches are not considered to be separable (this is they are taken independent of the other ages and are very noisy. For older ages weighting factors were equal to 1 , except for age $3+$ which receives a Wfactor $=0.1$ (as historically set for the tuning the standard ICA given their low percentage in the catches ICES -2005-).
Weighting factors for the DEPM and acoustics were set equal to those used in ICA ( $=0.5$ for each age). Potential correlation among ages in catches or the surveys are accounted for by correcting the weighting factors as in the standard ICA implementation.
The catch and survey biomass estimates by the model were fitted directly without any weighting factor, therefore acting as a penalty when the total sum of products of the modelled age structured values diverges from the biomass observations.

## 3. Results

a) Analysis of Z by ANOVA:

Table 2 shows that estimates of Z do not differ statistically between surveys within years (Models A1).

Mean Z estimates by periods for each survey are shown in Table 1b by age groups (bottom lines). The Z estimates in recent years are lower than in previous years for both surveys (ANOVAs in Table 3, Models A2), as displayed in Figure 1 and shown in Table 4 (pooling both surveys together).

Older anchovies show higher mortalities than recruits (age 1). Examining the individual results by surveys in Table 1b, this is clear for the DEPM survey, but for acoustics this is less evident for the fishing periods than for the fishing ban period. In table $3 b$ it is shown that the interaction Survey*Fishing*Old is at the edge of being statistically significant, but it does not overpass the threshold of $\alpha=5 \%$, we follow the analysis assuming this is not a significant interaction.
b) Linear models of Total mortality based on regression on the fishing intensity Significant relationships of total mortality versus the relative catches between surveys were found for the total population (Table 5 and Figure 2). The intercept of that model gives the estimate of Natural Mortality for all ages (Z 1+) at about 1 with a CV of $20 \%$.

Z for ages 1 and 2+ also showed significant relationships with the relative catches taken between surveys (Table 6) and the final retained model indicated significant differences in the intercept by ages (by Old covariate), pointing out to a $\mathrm{M} 1=0.70$ and $\mathrm{M} 2=1.41$, with CV around $30 \%$.
In these cases, as for the ANOVA analysis above, survey did not affect the results, however the slope for Relative catches might change with survey as indicated in Table 6b by the interaction Survey*Old $*$ RCsurvey 2 which is at the edge of being statistically significant, but as it did not overpass the threshold of $\alpha=5 \%$, we followed the analysis assuming this is not a significant interaction.

Results for other procedures of estimating the Relative Catches to the survey abundances (RC) were totally parallel to the analysis resulting for the RCSurvey2 and their estimates for M1+, M1 and M2+ follow in the text tables below:

| Global Mortality M1+ |  |  |  |
| :--- | ---: | ---: | ---: |
| RC estimator | RCjoint | Resurvey | RCsurvey2 |
| CONSTANT (= M1+) | $\mathbf{0 . 7 2 0}$ | $\mathbf{0 . 9 0 6}$ | $\mathbf{1 . 0 1 2}$ |
| Standard Error | 0.175 | 0.190 | 0.207 |
| CV | $24 \%$ | $21 \%$ | $20 \%$ |
| RC slope coefficient | $\mathbf{2 . 0 1 6}$ | $\mathbf{1 . 3 6 3}$ | $\mathbf{1 . 3 5 7}$ |
| Standard Error | 0.407 | 0.389 | 0.530 |
| CV | $20 \%$ | $29 \%$ | $39 \%$ |
|  |  |  |  |
| R-Squared | $52 \%$ | $35 \%$ | $22 \%$ |
| Standard Error of Est. | 0.497 | 0.577 | 0.630 |
|  |  |  |  |
| Slopes by surveys |  |  |  |
| Acoustic | 2.007 | 2.593 | 2.545 |
| Standard Error of Est. | 0.857 | 1.099 | 1.529 |
| DEPM | 2.004 | 1.283 | 1.220 |
| Standard Error of Est. | 0.487 | 0.467 | 0.648 |

And by ages:

|  | RC estimator | RCjoint <br> Estimate | Rcsurvey <br> Estimate | RCsurvey2 <br> Estimate |
| :--- | ---: | ---: | ---: | ---: |
| Parameter | $\mathbf{0 . 7 1 7}$ | $\mathbf{0 . 7 2 2}$ | $\mathbf{0 . 6 9 8}$ |  |
| CONSTANT (= M1) | 0.165 | 0.159 | 0.185 |  |
| Standard Error | $23 \%$ | $22 \%$ | $27 \%$ |  |
| CV | $\mathbf{0 . 6 2 3}$ | $\mathbf{0 . 6 0 3}$ | $\mathbf{0 . 7 1 7}$ |  |
| OLD (additional component for M2+) | 0.203 | 0.199 | 0.213 |  |
| Standard Error | $3.3 \%$ | $33 \%$ | $30 \%$ |  |
| CV | $\mathbf{1 . 3 4 0}$ | $\mathbf{1 . 3 2 6}$ | $\mathbf{1 . 4 1 5}$ |  |
| M2+ | 0.262 | 0.254 | 0.282 |  |
| Standard Error | $20 \%$ | $19 \%$ | $20 \%$ |  |
| CV | $\mathbf{1 . 2 9 5}$ | $\mathbf{1 . 1 2 6}$ | $\mathbf{1 . 4 1 7}$ |  |
| RC slope coefficient | 0.270 | 0.219 | 0.360 |  |
| Standard Error | $21 \%$ | $19 \%$ | $25 \%$ |  |
| CV |  |  |  |  |
|  | $47 \%$ | $50 \%$ | $41 \%$ |  |
| R-Squared | 0.689 | 0.672 | 0.731 |  |
| Standard Error of Est. |  |  |  |  |
|  |  |  |  |  |
| Slopes by surveys | 0.602 | 1.112 | 0.860 |  |
| Acoustic | 0.732 | 0.978 | 1.148 |  |
| Standard Error of Est. | 1.342 | 1.056 | 1.340 |  |
| DEPM | 0.747 | 0.237 | 0.410 |  |

Figure 5 (right panels) shows that taking both surveys as relative indexes but assuming Qflat catchabilities at age, SICA is optimised at a constant natural mortality around 0.8 , although the surface is quite flat between $\mathrm{M}=0.6$ and 1.1. On the other hand, when searching for a pattern of M1 and M2+, the RSSQ surface suggest that the lower the M1 the better, although results are all very similar for values of M1 lower than 0.7 , showing in all cases M2+ around 1.1.

The de facto catchabilities by ages, when a single $M_{1_{+}}$is estimated, still suggest that they should be higher for age 2 than for age 1 . Here is the results for optimization at $\mathrm{M} 1+=0.8$ :

| Joint Qflat Q | De facto | Age 1 | Age 2 | Age 3+ |
| :---: | :---: | :---: | :---: | :---: |
| 1.7323 | $\mathrm{Q}(\mathrm{DEPM})=$ | 1.5710 | 2.3163 | 1.4167 |
|  | $\mathrm{P}(\mathrm{Q}=1)$ | 0.0002 | 0.0000 | 0.0003 |
| 2.9166 | $\mathrm{Q}($ Acoustic $)=$ | 2.2674 | 3.5457 | 3.1566 |
|  | $\mathrm{P}(\mathrm{Q}=1)$ | 0.0000 | 0.0000 | 0.0003 |

The de facto catchabilities by ages when a pattern of natural mortality at age is allowed are, taking as an example M1 $=0.6$ (with resulting M2 $+=1.14$ ):

| Joint Qflat Q | De facto | Age 1 | Age 2 | Age 3+ |
| :---: | :---: | :---: | :---: | :---: |
| 1.7321 | $\mathrm{Q}(\mathrm{DEPM})=$ | 1.6945 | 2.0207 | 1.5020 |
|  | $\mathrm{P}(\mathrm{Q}=1)$ | 0.0000 | 0.0000 | 0.0001 |
| 2.9204 | $\mathrm{Q}($ Acoustic $)=$ | 2.4250 | 3.1048 | 3.4772 |
|  | $\mathrm{P}(\mathrm{Q}=1)$ | 0.0000 | 0.0000 | 0.0001 |

Which show a higher conformity with the joint catchability factor (Figure 6), particularly for the DEPM, whilst the Acoustic seem to suggest increasing catchabilties at age.

Finally, for the purposes of crossed discussion with the results of the linear model above, a direct minimization of the SICA model for a pattern of natural mortality at ages fixed at M1=0.7 and M2+=1.35 was run. The pattern of catchabilities found is quite similar to the previous case.

| Joint Qflat Q | De facto | Age 1 | Age 2 | Age 3+ |
| :---: | :---: | :---: | :---: | :---: |
| 1.5197 | $\mathrm{Q}(\mathrm{DEPM})=$ | 1.4644 | 1.7232 | 1.3751 |
|  | $\mathrm{P}(\mathrm{Q}=1)$ | 0.0010 | 0.0000 | 0.009 |
| 2.5584 | $\mathrm{Q}(\mathrm{Acoustic})=$ | 2.0731 | 2.6468 | 3.2750 |
|  | $\mathrm{P}(\mathrm{Q}=1)$ | 0.0000 | 0.0000 | 0.0001 |

## 4. Discussion

The closure of the anchovy fishery allows estimating an average rate of natural mortality for all ages (M1+) at about 0.83 (pooling all survey estimates together, ANOVA approach) with a CV of $22 \%$ or around 0.91 (CV of $21 \%$ ) with the regression model on RCsurvey (but the mean value may range between 0.7 and 1 depending upon de concrete RC estimator). SICA model also points out towards an optimum fitting for M1+ around 0.8 , but with very similar fittings in the range of M1+ between 0.6 and 1.1. The analysis therefore suggest lower M1+ values than the former estimates of 1.2 for the Bay of Biscay anchovy which had been deduced under the assumption of the DEPM providing unbiased estimates of the absolute level of the population (and verified again in this paper in Figure 4). For the same level of total mortalities Z , this result implies fishing mortalities higher than formerly assessed, i.e. higher impact of the fishery on the stock.

The analysis also provides evidence that the level of natural mortality is higher for the ages $2+$ than for age 1.The linear modelling of Z on the relative catches ( RC ) points out M1 and M2+ around 0.7 and 1.35 respectively, being the difference always significant and insensitive to the concrete RC estimator used for the analysis. The analysis certainly depends upon the assumption of no differential catchabilty by ages in the surveys. SICA modelling under such assumption (the Qflat catchability model) results in optimum fittings for M1 values lower than 0.8 and $\mathrm{M} 2+$ around 1.15 ; i.e. quite parallel pattern of natural mortality at age as that shown by the linear models above. As pointed out before in mat and methods, we can not distinguish between differential catchabilities at age or differential natural mortalities by ages. In previous

ICA assessments made for this anchovy in ICES, the assumption of a constant natural mortality at age, led to infer a pattern of catchabilities at age in the surveys by which catchability at age 2 was double of that for ages 1 ; a result hard to be acceptable. Now, under the assumption of constant catchability at all ages SICA shows optimum fittings for differential natural mortalities at ages. The SICA fitting with Qflat accommodated rather successfully to a single catchability for all ages (Figure 6), beside some unresolved discrepancies (as the seemingly remaining increasing pattern of catchability at age for the acoustics). This shift in the assumptions of catchabilities by age in the surveys from the original ICA type of analysis to the current SICA Qflat implementation supposes a reduction of the number of parameters to be estimated from 7 parameter, i.e. 6 catchabilities (2-Surveys * 3-Ages) and 1 natural mortality, to 4 parameters, 2 catchabilities ( 1 by survey) and 2 natural mortalities ( $1-\mathrm{M} 1$ and $1-\mathrm{M} 2+$ ) So the current approach is parsimonious and should be preferred over the former one (Cotter 2004), implying less assumptions (fewer catchabilities), and, at the same time, resulting in a better fitting to the actual observations of the population at sea (lower RSSQ in absolute terms, Figure 5). With this approach the assessment is more heavily fitted (anchored) to the actual observations provided by the surveys than formerly.

These results suggest therefore that Natural Mortality may increase with age for anchovy, particularly after its second spawning, being anchovy an intermediate small pelagic fish between capelin (which die after it first spawning) and sardines or sprats. This finding is similar to the one shown for sandeels (Cook 2004) and in line with the expectation of increasing mortality at senescence for the short living species (Beverton 1963, Caddy 1991).

The slopes of the linear models of Z on the relative catches between surveys have always been above 1 , usually around 1.3 or even higher depending on the concrete type of analysis. As far as that common slope is indicative of the joint catchability of the two surveys the analysis suggests that the surveys tend to overestimate the absolute level of the stock at the sea. However, significant difference from a slope of 1 is only attained for the case of RCjoint; so it is only when using a synthetic indication of the fishing intensity from both surveys when the divergence from the catchability of 1 becomes significant. Similar results are found when the analysis of M1+ is made by surveys, but when the analysis made by surveys is for M1 and M2+ a catchability higher than one is just seen for the DEPM, not for the acoustic; at this level the standard error of the slopes become very high; so the power of analysis become very limited. The assessment with SICA, with Qflat, similarly results in catchabilities higher than one for both surveys either for a single M1+ as for M1 and M2+ pattern. For this assessment, the catchabilities become significantly different from 1 for both surveys. So the question arising from the former analysis is whether the current surveys can give overestimates of the true population or not. For the DEPM this is possible: A recent revision of the spawning fraction (S) for the Bay of Biscay anchovy (Uriarte et al. 2010 submitted) indicates that this parameter was underestimated in the past by about $38 \%$, this would imply that the former DEPM biomass estimates were about $60 \%$ above the actual values the DEPM should have provided. This would imply catchability for that survey of about 1.6, i.e. a value in line with our analysis above and particularly very close to those suggested by the SICA (Qflat) analysis.

One caveat of all these analysis is the relative noisy results obtained. The $r 2$ of the regression models are at best around $50 \%$ o lower, with high standard errors (of about 0.5). Part of it should be due to observation errors from surveys and errors in the RC estimates, but in addition another source of variability can be due to inter-annual variability in natural mortality according to different predation and so on. This analysis can not discriminate among these source of variability but inter-annual variability in Natural mortality was already pointed out for this stock (Prouzet 1999) and they are expected to happen for all stocks (Vetter, 1988,

Cook 2004, Gislason 2010). Even more the higher the natural mortality the higher the variability of M should be (Ref).

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561 Table 1: Direct Population in numbers at age estimates.(a) and derived total mortality values 562 by age groups (b). The fishery has been closed since July 2005 (just with very small catches in
b) Total mortality values for different age groups and by surveys


| a) |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| DEPM SUVEYS |  |  | + group | ACOUSTIC Su |  | True or + group | + group |
| Year $\backslash$ ages | 1 | 2 |  | Year $\backslash$ ages | 1 | 2 \& $2+$ | 3+ |
| 1987 | 656 | 331 | 142 | 1987 |  |  |  |
| 1988 | 2349 | 258 | 68 | 1988 |  |  |  |
| 1989 | 347 | 290 | 25 | 1989 | 400.0 | 405.0 |  |
| 1990 | 5613 | 190 | 40 | 1990 |  |  |  |
| 1991 | 670.5 | 290.3 | 4.8 | 1991 | 1873.0 | 1300.0 |  |
| 1992 | 5571 | 209.3 | 16.7 | 1992 | 9072.0 | 270.0 |  |
| 1993 |  |  |  | 1993 |  |  |  |
| 1994 | 2030 | 874 | 49.3 | 1994 |  |  |  |
| 1995 | 2257 | 329 | 58 | 1995 |  |  |  |
| 1996 |  |  |  | 1996 |  |  |  |
| 1997 | 3242.6 | 482.1 | 13.1 | 1997 | 2481.0 | 870.0 |  |
| 1998 | 5466.7 | 759.5 | 56.3 | 1998 |  |  |  |
| 1999 |  |  |  | 1999 |  |  |  |
| 2000 |  |  |  | 2000 | 5965.3 | 682.6 | 281.3 |
| 2001 | 4362.2 | 1562.0 | 123.5 | 2001 | 4169.7 | 1325.7 | 141.1 |
| 2002 | 283.6 | 621.3 | 133.8 | 2002 | 1354.2 | 2253.5 | 500.6 |
| 2003 | 1042.0 | 179.6 | 74.0 | 2003 | 1120.8 | 239.0 | 114.9 |
| 2004 | 864.0 | 114.9 | 28.0 | 2004 | 2248.6 | 226.2 | 126.0 |
| 2005 | 95.1 | 188.8 | 8.4 | 2005 | 131.2 | 421.7 | 110.2 |
| 2006 | 998.2 | 156.5 | 49.7 | 2006 | 1365.1 | 394.5 | 111.4 |
| 2007 | 901.6 | 316.7 | 50.0 | 2007 | 1437.0 | 632.0 | 101.2 |
| 2008 | 461.0 | 553.0 | 72.0 | 2008 | 961.3 | 811.5 | 266.0 |
| 2009 | 755.0 | 267.0 | 255.0 | 2009 | 1123.7 | 365.4 | 404.3 |

Table2: Analysis of Variance for total $\mathrm{Z}(\mathrm{Z1}+$ ) (a) and for Z by ages ( Z 1 and $\mathrm{Z} 2+$ ) (b)


Table 3: Anovas testing the effect of the fishing closures:

| Source | Sum of Squares | Df | Mean Square | F-Ratio | P-Value |
| :---: | :---: | :---: | :---: | :---: | :---: |
| MAIN EFFECTS |  |  |  |  |  |
| A:Fishing | 4.88397 | 1 | 4.88397 | 16.28 | 0.0006 |
| B: Survey | 0.00109187 | 1 | 0.00109187 | 0.00 | 0.9524 |
| RESIDUAL | 6.60096 | 22 | 0.300044 |  |  |
| TOTAL (CORRECTED) | 11.7429 | 24 |  |  |  |

b) Anova for $Z$ by ages (Z1 and Z2+): Type III Sums of Squares

| Source | Sum of Squares | Df | Mean Square | F-Ratio | P -Value |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Fishing | 6.44179 | 1 | 6.44179 | 14.80 | 0.0004 |
| Survey | 0.0816888 | 1 | 0.0816888 | 0.19 | 0.6672 |
| OLD | 6.25927 | 1 | 6.25927 | 14.38 | 0.0005 |
| Fishing*Survey | 0.000254295 | 1 | 0.000254295 | 0.00 | 0.9808 |
| Fishing*OLD | 0.265792 | 1 | 0.265792 | 0.61 | 0.4391 |
| Survey*OLD | 0.285137 | 1 | 0.285137 | 0.66 | 0.4231 |
| Fishing*Survey*OLD | 0.431941 | 1 | 0.431941 | 0.99 | 0.3251 |
| Residual | 17.4084 | 40 | 0.435211 |  |  |
| Total (corrected) | 40.4944 | 47 |  |  |  |

c) Anova for $Z$ by ages ( $Z 1$ and $Z 2+$ ): Type III Sums of Squares

| Source | Sum of Squares | Df | Mean Square | F-Ratio | P -Value |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Fishing | 10.7721 | 1 | 10.7721 | 25.22 | 0.0000 |
| OLD | 6.73276 | 1 | 6.73276 | 15.76 | 0.0003 |
| Fishing*Survey*OLD | 1.47815 | 1 | 1.47815 | 3.46 | 0.0696 |
| Residual | 18.7965 | 44 | 0.427193 |  |  |
| Total (corrected) | 40.4944 | 47 |  |  |  |

d) Anova for $Z$ by ages (Z1 and $Z 2+$ ): Type III Sums of Squares

| Source | Sum of | Squares | Df | Mean Square | F-Ratio | P -Value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Fishing |  | 12.0275 | 1 | 12.0275 | 26.70 | 0.0000 |
| OLD |  | 8.19227 | 1 | 8.19227 | 18.18 | 0.0001 |
| Residual |  | 20.2746 | 45 | 0.450547 |  |  |
| Total (corrected) |  | 40.4944 | 47 |  |  |  |
| 95.0\% confidence | for coefficient estimates (Z) |  |  |  |  |  |


| Parameter | Estimate | Standard Error | Lower Limit | Upper Limit | V.I.F. |
| :---: | :---: | :---: | :---: | :---: | :---: |
| CONSTANT | 0.954688 | 0.141231 | 0.670234 | 1.23914 |  |
| Fishing | -0.530937 | 0.10276 | -0.737908 | -0.323967 | 1.0 |
| OLD | 0.82625 | 0.193767 | 0.435983 | 1.21652 | 1.0 |

Table 4: Resulting Mean Z by Fishing periods and ages (pooling survey's estimates).
$\mathrm{N}=$ No Fishing period. $\mathrm{Y}=$ Fishing period
a) Overall $\mathrm{Z}(\mathrm{Z} 1+)$ :

Table of Means for $Z$ by Fishing
with 95.0 percent LSD intervals

| Fishing | Count | Mean | (pooled s) | Lower limit | Upper limit |
| :---: | :---: | :---: | :---: | :---: | :---: |
| N | 9 | 0.827778 | 0.178589 | 0.566544 | 1.08901 |
| Y | 16 | 1.7725 | 0.133942 | 1.57657 | 1.96843 |
| Total | 25 | 1.4324 |  |  |  |

b) $Z$ at age $1(\mathrm{Z} 1)$ :

Table of Means for $Z$ by Fishing
with 95.0 percent LSD intervals

| Fishing | Count | Mean | Stnd. error (pooled s) | Lower limit | Upper limit |
| :---: | :---: | :---: | :---: | :---: | :---: |
| N | 8 | 0.3625 | 0.24546 | 0.00254421 | 0.722456 |
| Y | 16 | 1.51625 | 0.173567 | 1.26172 | 1.77078 |
| Total | 24 | 1.13167 |  |  |  |

c) $Z$ at ages 2 and older ( $Z 2+$ ):

Table of Means for $Z$ by Fishing
with 95.0 percent LSD intervals

| Fishing | Count | Mean | Stnd. error (pooled s) | Lower limit | Upper limit |
| :---: | :---: | :---: | :---: | :---: | :---: |
| N | 8 | 1.31125 | 0.233312 | 0.969109 | 1.65339 |
| Y | 16 | 2.28125 | 0.164976 | 2.03932 | 2.52318 |
| Total | 24 | 1.95792 |  |  |  |

698 Table 5: Fitting the total Mortality for the whole population $\mathrm{Z}(\mathrm{Z1}+)$ as a function of Relative catches index (ModelB1): a) First test of the complete model and b) Retained model after consecutive omission of non significant coefficients.
a) Comparison of Regression lines First test of the complete model fo $Z$ (Z1+): Multiple Regression Analysis

| Parameter | Estimate | Standard Error | $\begin{gathered} \mathrm{T} \\ \text { Statistic } \end{gathered}$ | P-Value |
| :---: | :---: | :---: | :---: | :---: |
| CONSTANT | 0.839115 | 0.340974 | 2.46094 | 0.0226 |
| RCsurvey2 | 2.54546 | 1.47963 | 1.72033 | 0.1001 |
| Survey=DEPM | 0.195992 | 0.460511 | 0.425596 | 0.6747 |
| RCsurvey2*Survey=DEP | -1.32534 | 1.62084 | -0.817688 | 0.4227 |

Analysis of Variance

| Source | Sum of Squares | Df | Mean Square | F-Ratio | P -Value |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Model | 2.92762 | 3 | 0.975875 | 2.32 | 0.1041 |
| Residual | 8.81523 | 21 | 0.419773 |  |  |
| Total (Corr.) | 11.7429 | 24 |  |  |  |

b) Comparison of Regression lines Final model for Total Z (Z1+) Multiple Regression Analysis

| Parameter | Estimate | Standard <br> Error | $\begin{gathered} \mathrm{T} \\ \text { Statistic } \end{gathered}$ | P-Value |
| :---: | :---: | :---: | :---: | :---: |
| CONSTANT | 1.01192 | 0.207075 | 4.88674 | 0.0001 |
| RCsurvey 2 | 1.3571 | 0.530191 | 2.55964 | 0.0175 |

Analysis of Variance

| Source | Sum of Squares | Df | Mean Square | F-Ratio | P-Value |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Model | 2.60345 | 1 | 2.60345 | 6.55 | 0.0175 |
| Residual | 9.1394 | 23 | 0.397365 |  |  |
| Total (Corr.) | 11.7429 | 24 |  |  |  |

747 a) Comparison of Regression lines First test of the complete model fo $z$ by ages
Analysis of Variance for $Z$

| Source | Sum of Squares | Df | Mean Square | F-Ratio | P-Value |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Model | 20.0273 | 7 | 2.86104 | 5.59 | 0.0002 |
| Residual | 20.4671 | 40 | 0.511678 |  |  |
| Total (Corr.) | 40.4944 | 47 |  |  |  |

Type III Sums of Squares

| Source | Sum of Squares | Df | Mean Square | F-Ratio | P-Value |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Survey | 0.906938 | 1 | 0.906938 | 1.77 | 0.1906 |
| OLD | 3.28212 | 1 | 3.28212 | 6.41 | 0.0153 |
| RCsurvey2 | 2.95055 | 1 | 2.95055 | 5.77 | 0.0211 |
| Survey*OLD | 0.770167 | 1 | 0.770167 | 1.51 | 0.2270 |
| Survey*RCsurvey2 | 1.40504 | 1 | 1.40504 | 2.75 | 0.1053 |
| OLD*RCsurvey2 | 1.10216 | 1 | 1.10216 | 2.15 | 0.1500 |
| Survey*OLD*RCsurvey2 | 2.61959 | 1 | 2.61959 | 5.12 | 0.0292 |
| Residual | 20.4671 | 40 | 0.511678 |  |  |
| Total (corrected) | $40.4944 \quad 47$ |  |  |  |  |
| R -Squared $=49.4569 \mathrm{p}$ | R-Squared (adjusted for d.f.) $=40.6119$ percentMean absolute error $=0.501761$ |  |  |  |  |
| Standard Error of Est. |  |  |  |  |  |

b) Intermediate Linear model for $Z$ by ages: Analysis of Variance for $Z$

| Source | Sum of Squares | Df | Mean Square | F-Ratio | P-Value |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Model | 18.5341 | 4 | 4.63351 | 9.07 | 0.0000 |
| Residual | 21.9603 | 43 | 0.510706 |  |  |
| Total (Corr.) | 40.4944 | 47 |  |  |  |

Type III Sums of Squares

| Source | Sum of Squares | Df | Mean Square | F-Ratio | P-Value |
| :---: | :---: | :---: | :---: | :---: | :---: |
| OLD | 2.42984 | 1 | 2.42984 | 4.76 | 0.0347 |
| RCsurvey2 | 2.20919 | 1 | 2.20919 | 4.33 | 0.0435 |
| OLD*RCsurvey2 | 0.135011 | 1 | 0.135011 | 0.26 | 0.6098 |
| Survey*OLD*RCsurvey2 | 1.91277 | 1 | 1.91277 | 3.75 | 0.0595 |
| Residual | 21.9603 | 43 | 0.510706 |  |  |

Total (corrected)
$40.4944 \quad 47$
R-Squared $=45.7694$ percent
R-Squared (adjusted for d.f.) $=40.7247$ percent
tandard Error of Est. $=0.714637$, Mean absolute error $=0.51495$
c) Final retained model for $Z$ by age : Multiple Regression Analysis

Dependent variable: Z

| Parameter | Estimate | Standard <br> Error | $\begin{gathered} \mathrm{T} \\ \text { Statistic } \end{gathered}$ | P-Value |
| :---: | :---: | :---: | :---: | :---: |
| CONSTANT | 0.69813 | 0.185445 | 3.76463 | 0.0005 |
| RCsurvey2 | 1.41715 | 0.360128 | 3.93513 | 0.0003 |
| OLD | 0.717108 | 0.212775 | 3.37026 | 0.0015 |

Analysis of Variance

a) Overall $\mathrm{Z}(\mathrm{Z} 1+)$ :
$\mathrm{N}=$ No Fishing period. $\mathrm{Y}=$ Fishing period

Box-and-Whisker Plot


823
824
825

Figure 1: Box and Whisker Plot for $Z$ by ages (pooling survey's estimates).
b) Z at age $1(\mathrm{Z} 1)$ :

Box-and-Whisker Plot


826
827
c) Z at ages 2 and older ( $\mathrm{Z} 2+$ ):

Box-and-Whisker Plot


Figure 2: Total Z estimates (Z1+) (Model B1)

830

831
b) Final adjusted model B1 for total Z (Z1+)

## Plot of Fitted Model

## Plot of Fitted Model



d) Residual plot
a) Fitted model

Plot of Fitted Model


Figure 3: Final fitted models for the Z by ages as a function of the relative catches between surveys.
b) Studentized residuals


843 Figure 4: Sum of squares residuals for a range of fixed M1+ for all years and ages according to a SICA assessment based on DEPM providing absolute estimates of biomass and populations at age estimates; and allowing estimating catchabilities at age for the Acoustic survey. Bottom panels has the associated fishing mortality F for each level of M1+



Figure 5: Sum of squares residuals depending on different Natural Mortality assumptions for fixed M for all years and ages (left) and for M1 and M2+ (right), according to a SICA assessment based upon DEPM and Acoustics supplying relative indexes of abundance and having a Qflat catchability model across ages. Bottom panels have the associated fishing mortality F, for each level of M, and in the case of the bottom right panel it also show the value M2+ for each M1 value tested.





Figure 6: Fitting of the survey population at age estimates for the Acoustic (Left columns) and DEPM (right columns) by the SICA model for a pattern of Natural mortality at age of M1=0.6 and M2+=1.14, with common catchabilities for all ages per survey (Qflat catchability model).

Acoustic
DEPM







