

## SUPERVISED MACHINE LEARNING MODEL FOR MICRORNA EXPRESSION DATA IN CANCER

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### Abstract

The cancer cell gene expression data in general has a very large feature and requires analysis to find out which genes are strongly influencing the specific disease for diagnosis and drug discovery. In this paper several methods of supervised learning (decision tree, naïve bayes, neural network, and deep learning) are used to classify cancer cells based on the expression of the microRNA gene to obtain the best method that can be used for gene analysis. In this study there is no optimization and tuning of the algorithm to assess the fitness of algorithms. There are 1881 features of microRNA gene expression, 22 cancer classes based on tissue location. A simple feature selection method is used to test the comparison of the algorithm. Experiments were conducted with various scenarios to assess the accuracy of the classification.

**Keywords:** *Cancer, MicroRNA, classification, Decision Tree, Naïve Bayes, Neural Network, Deep Learning*

### Abstrak

Data ekspresi gen sel kanker secara umum memiliki feature yang sangat banyak dan memerlukan analisa untuk mengetahui gen apa yang sangat berpengaruh terhadap spesifik penyakit untuk diagnosis dan juga penemuan obat. Pada tulisan ini beberapa metode supervised learning (decision tree, naïve bayes, neural network, dan deep learning) digunakan untuk mengklasifikasi sel kanker berdasarkan ekspresi gen microRNA untuk mendapatkan metode terbaik yang dapat digunakan untuk analisa gen. Dalam studi ini tidak ada optimasi dan tuning dari algoritma untuk menguji kemampuan algoritma secara umum. Terdapat 1881 feature ekspresi gen microRNA pada 25 kelas kanker berdasarkan lokasi tissue. Metode sederhana feature selection digunakan juga untuk menguji perbandingan algoritma tersebut. Experiments dilakukan dengan berbagai skenario untuk menguji akurasi dari klasifikasi.

**Kata Kunci:** *Kanker, MicroRNA, Klasifikasi, Decision Tree, Naïve Bayes, Neural Network, Deep Learning*

### 1. Introduction

Cancer is the second deadliest disease after heart disease with about 8.8 million cancer deaths by 2015. Moreover, one in six deaths is caused by cancer. The number of new cases are expected to increase by 70% over the next two decades [1]. It is generally recognized that cancer occurs due to gene abnormalities [2]. Gene's expression in the production rate of protein molecules are defined by genes [3]. Analyzing the gene expression profiles is the most fundamental approaches for understanding genetic abnormalities [4]. Micro Ribonucleic acid (microRNA) is known as one of the gene expressions that are very influential in

cancer cells [5]. Gene's expression data, in general, has a very large number of features and requires analysis for diagnosis and disease analysis or to distinguish certain types of cancer and drug discovery [6].

Classification techniques of cancer cells based on gene expression data using machine learning methods have been developed rapidly in the analysis and diagnosis of cancer [7]. Classification techniques are definitely used to distinct the gene expression profiles for patients from cancer patients by type or even healthy patients [8]. One of the complicated problems in classification is to distinguish between different types of tumors (multiclass approach) which have a

very large quantities features of gene expression data [9]. For gene expression data, its high dimensionality and a relative fewer quantity numbers require much more consideration and specific preprocessing to deal with. In this case, it is important to aid users by suggesting which instances to inspect, especially for large datasets.

In constructing conventional machine learning systems require technical and domain skills to convert data into appropriate internal representations to detect patterns. Conventional techniques derive from single-spaced transformations that are often linear and limited in their ability to process natural data in their raw form [10]. Deep learning differs from traditional machines. In fact, in-depth learning allows a computational model consisting of several layers of processing based on neural networks to study data representation with varying levels of abstraction [10].

In this paper, the machine learning model has been implemented in studying features of genuine gene expression data and testing it in a classification model. We apply supervised learning in the form of a decision tree, naïve Bayes, and neural network compared with deep learning method in determining high-dimensional gene data pattern and achieving high accuracy. This comparison is intended to determine the reliability of the model tested in various cases, including feature selection.

The paper is structured as follows: Section 2 provides information on data and methods used for classification; Section 3 describes the results of a couple of methods from several scenarios of experiment and discussion. Finally section 4 the conclusion of paper and future works.

## 2. Method

### Data sets

The datasets of MicroRNA expression in cancer and normal cell was occupied from National cancer institute GDC data Portal (<https://portal.gdc.cancer.gov/>). Table 1 shows the detail of datasets.

### Decision Tree

Basically, the Decision Tree algorithm aims at obtaining a homogeneous subgroup of predefined class attributes by repeatedly repartitioning a heterogeneous sample group based on the value of the feature attribute [11], [12].

TABLE 1  
SAMPLE NUMBER OF CANCER AND NORMAL CELL

Tissue	Cancer	Normal
<i>Adrenal gland</i>	259	3
<i>Bile duct</i>	36	9
<i>Bladder</i>	417	19
<i>Brain</i>	512	5
<i>Breast</i>	1096	104
<i>Cervix</i>	307	3
<i>Colarectal</i>	454	8
<i>Esophagus</i>	186	13
<i>Head and neck</i>	523	44
<i>Kidney</i>	544	71
<i>Liver</i>	372	50
<i>Lung</i>	519	46
<i>Ovarium</i>	489	0
<i>Pancreas</i>	178	4
<i>Pleura</i>	87	0
<i>Prostate</i>	497	52
<i>Skin</i>	97	2
<i>Soft Tissue</i>	259	0
<i>Stomach</i>	446	45
<i>Thymus</i>	124	2
<i>Thyroid</i>	506	59
<i>Uterus</i>	545	33

Next, divide the group into smaller and more homogeneous subgroups. Referring to the class attribute, the sample group partition is selected based on the feature attribute with the highest Information Gain value

The formula for calculating the information gain is derived from the following derivation [13]:

- Information expected to classify a tuple in D is expressed as:

$$Info(D) = - \sum_{i=1}^m p_i \log_2(p_i) \quad (1)$$

with  $p_i$  being the non zero probability that any tuple in D is part of class  $C_i$  and is estimated with  $|C_{i,D}|/|D|$ . The base log 2 function is used because the information is encoded in bits. Info (D) is the average amount of information needed to identify the Duplication class label D. Info (D) is also known as the entropy of D.

- The amount of information required on the classification is measured using the following formula:

$$Info_A(D) = \sum_{j=1}^v \frac{|D_j|}{|D|} \times Info(D_j) \quad (2)$$

The  $\frac{|D_j|}{|D|}$  role as partition weight to j.  $Info_A(D)$  is the information needed to classify the tuples of D based on A. The

smaller the information, the greater the purity of the partition.

- Information Gain is defined as the difference between the original information and the new information (obtained from the partition on A), so it can be formulated as follows:  

$$Gain(A) = Info(D) - Info_A(D) \quad (3)$$

The iteration of the decision tree algorithm begins by partitioning the example using feature attributes with the largest Information Gain until it stops when the remaining value of the Information Gain attribute is below a certain threshold or the subgroup is homogeneous [11], [12]. In the end, it will produce a tree-like structure, with its branches being feature attributes and its leaves being subgroups. If there is an example as an input, then using the decision tree model that has been compiled it can be traced through the attribute of the input instance feature to predict the desired target attribute.

### Naïve Bayes

A Naïve Bayes classifier is a simple probabilistic classifier based on applying Bayes' theorem (from Bayesian statistics) with strong (naive) independence assumptions. A more descriptive term for the underlying probability model would be independent feature model. In simple terms, a Naïve Bayes classifier assumes that the presence (or absence) of a particular feature of a class (i.e. attribute) is unrelated to the presence (or absence) of any other feature. For example, a fruit may be considered to be an apple if it is red, round, and about 4 inches in diameter. Even if these features depend on each other or upon the existence of the other features, a Naïve Bayes classifier considers all of these properties to independently contribute to the probability that this fruit is an apple.

The advantage of the Naive Bayes classifier is that it only requires a small amount of training data to estimate the means and variances of the variables necessary for classification. Because independent variables are assumed, only the variances of the variables for each label need to be determined and not the entire covariance matrix.

Bayes is a conditional probability model for an example problem to be classified by the vector  $X = (x_1 \dots x_n)$  with n example.

$$P(C_k | x_1 \dots x_n) \quad (5)$$

The problem with the above formula is that if the number of n is very large, it will need a very large range of values, so the probability becomes impossible. We have a tendency to do formula-

tions on the model to provide additional use of Bayes theorem, its conditional probability is calculated as:

$$p(C_k | X) = p(C_k) p(C_k | X) / p(X) \quad (6)$$

The Bayesian probability terminology in the equation(6) can be written as Posterior = Likelihood / Evidence.

In practice, interest only exists in the numerator of the fraction, since the denominator is independent of C and the value of the given feature Fj, so the numerator is effectively constant. The numerator is equivalent to a joint probability model

$$p(C_k, x_1, \dots, x_n) \quad (7)$$

It can be rewritten as follows, by using chain rules for repeated applications on the definition of conditional probabilities as:

$$p(C_k, x_1, \dots, x_n) = p(C_k) p(x_1, \dots, x_n | C_k) \quad (8)$$

Recently the independent conditional Naive came into play: the assumption that each feature Fj is conditionally independent for every other Fi feature for j is not equal to I, given category C, this means that:

$$\begin{aligned} p(x_i | C_k, x_j) &= p(x_i | C_k) \\ p(x_i | C_k, x_j, x_k) &= p(x_i | C_k) = p(x_i | C_k) \\ p(x_i | C_k, x_j, x_k, x_l) &= p(x_i | C_k) \end{aligned} \quad (9)$$

For  $i \neq j, k, l$  then the combined model can be expressed as

$$\begin{aligned} p(C_{k,i} | x_1, \dots, x_j) &\propto p(C_k, x_1, \dots, x_n) \propto \\ &p(C_k) p(x_i | C_k) p(x_2 | C_k) \\ p(x_3 | C_k) &\propto p(C_k) \prod_{i=1}^n p(x_i | C_k) \end{aligned} \quad (10)$$

This means that based on the above independent assumption, the conditional distribution in the class C variable is:

$$p(C_k | x_1, \dots, x_j) = 1/Z p(C_k) \prod_{i=1}^n p(x_i | C_k) \quad (11)$$

where the evidence  $Z = p(x)$  is a scaling factor that depends on  $x_1, \dots, x_n$ . That is constant if the value of feature variable is known.

### Neural Network

Rapidminer provides neural network operator. The operator uses feedforward neural network algorithm with backpropagation algorithm for the training. Neural networks are inspired by biological neural networks, which are then developed as mathematical models. The structure of artificial neural networks consists of connected neurons that can process and transmit information.

One of the advantages of neural network is its adaptability that can change the structure of external and internal information obtained during the learning phase. The current use of neural networks is to find patterns from a set of data or to find complex models of relationships between inputs and outputs.

In the feedforward neural network, the information moves forward, one direction from the input to the output (via a hidden node) without the loop.

While backpropagation neural network (BP-NN) algorithm uses to do looping at two stages of propagation and repeated, until achieved acceptable results (good). In this algorithm the error function (obtained from the output value compared to the correct answer) is fed back to the network as a reference to reduce the previous error value. Because the process of reduction is small for each stage it is necessary to do many training cycles until it reaches a small error value until it can be declared that it has reached the target.

Initially BPNN will look for an error between the original output and the desired output.

$$E_p = \sum_{i=1}^j (e_i) \quad (12)$$

Where e is a nonlinear error signal. P shows pole to P; J is the number of units of output. The gradient descent method is shown in equation(13),

$$w_{k,i} = \mu \frac{\partial E_p}{\partial w_{k,i}} \quad (13)$$

Back Propagation counts errors in the output layer  $\sigma_j$ , and hidden layer.  $\Sigma_j$  using equation(14) and equation(15):

$$\partial_l = \mu (d_i - y_i) f'(y_i) \quad (13)$$

$$\partial_l = \mu \sum_i \partial_1 w_l f'(y_i) \quad (14)$$

Error in back propagation is used to update on weights and biases on output and hidden layers. Weight,  $W_{ij}$  and bias,  $b_j$ , then adjusted using the following equation:

$$w_{i,j}(k + 1) = w_{i,j}(k) + \mu \partial_j y_i \quad (15)$$

$$w_{l,j}(k + 1) = w_{l,j}(k) + \mu \partial_j y_l \quad (16)$$

$$b_j(k + 1) = b_j(k) + \mu \partial_j \quad (17)$$

Where, k is the epoch number and  $\mu$  is the learning rate

Multi Layer Perceptron (MLP) was introduced to enhance the feed-forward with the mapping data set input to output. The structure of the MLP Algorithm consists of multiple node layers with a directional graph that each layer is fully connected to the next layer. Each node (other than the input node) is a neuron equipped with a nonlinear activation function. Multi Layer Perceptron utilizes back-propagation method in its training phase. The arrangement of MLP consists of several layers of computing units that implement sigmoid activation functions, and are linked to each other by feed-forward.

### Deep Learning

Deep Learning is based on a multi-layer feed-forward artificial neural network that is trained with stochastic gradient descent using back-propagation. The network can contain a large number of hidden layers consisting of neurons with tanh, rectifier and maxout activation functions. Advanced features such as adaptive learning rate, rate annealing, momentum training, dropout and L1 or L2 regularization enable high predictive accuracy. Each compute node trains a copy of the global model parameters on its local data with multi-threading (asynchronously), and contributes periodically to the global model via model averaging across the network.

The operator starts a 1-node local H2O cluster and runs the algorithm on it. Although it uses one node, the execution is parallel. You can set the level of parallelism by changing the Settings/Preferences /General/Number of threads setting. By default, it uses the recommended number of threads for the system. Only one instance of the cluster is started and it remains running until you close RapidMiner Studio.

The Boltzmann engine is modeled with an input layer and a hidden layer that usually consists of binary units for each unit. The hidden layer is processed as stochastic (deterministic), recurrent (feed-forward). A generative model that can estimate distribution on observations for traditional

discriminative networks with labels. Energy on the network and Probability of a unit state (Scalar T expressed as temperature) is described as equation(18)

$$E(s) = - \sum_i a_i s_i - \sum_{i < j} s_j w_{i,j} s_i \quad (18)$$

A bipartite graph: No later-feed connection, feed-forward. Restricted Boltzmann Machine (RBM) has no T factor, the rest is similar to BM. An important feature of RBM is the visible unit and hidden unit are independent, which saves on good results later:

$$P(s_j = 1) = \frac{1}{1 + e^{-\left(\frac{\Delta E}{T}\right)}} = \sigma\left(\frac{\sum_{i=1}^m w_{i,j} s_i}{T}\right) \quad (19)$$

$$P(v|h) = \prod_{i=1}^m p(v_i|h) \quad (20)$$

$$P(v|h) = \prod_{j=1}^n p(v_j|h) \quad (21)$$

Two characters used to define a Restricted Boltzmann Machine: The state of all units: obtained through the distribution of possibilities; Network weights: gained through training

As previously noted, RBM aims to estimate the distribution of input data. This goal is fully determined by weight and input. Energy defined for RBM is shown in equation(22):

$$E(v, h) = - \sum_i a_i v_i - \sum_j b_j h_j - \sum_i \sum_j h_j w_{i,j} v_i \quad (22)$$

Distribution on the visible layer on RBM:

$$P(v) = \frac{1}{Z} \sum_h e^{-E(v,h)} \quad (23)$$

Where, Z is a partition function defined as the sum of all possible configurations (v, h)

Training for RBM: Maximum Likelihood learns probability against vector x with parameter W (weight) is:

$$P(v) = \frac{1}{Z} \sum_h e^{-E(v,h)} \quad (24)$$

$$P(x; W) = 1/Z(W) e^{-E(x;W)} \quad (25)$$

$$Z(W) = \sum_x e^{-E(x;W)} \quad (25)$$

$$P(x; W) = 1/Z(W) e^{-E(x;W)} \quad (26)$$

$$Z(W) = \sum_x e^{-E(x;W)} \quad (27)$$

### 3. Results and Analysis

The experiment purpose is to compare the performance of several supervised machine learning methods. In determining which method is best, the performance of the method is checked by evaluating the accuracy of the results. Classification accuracy is calculated by determining the percentage of tuples placed in the correct class. We compute the class precision, class recall and accuracy of the method defined as

$$Precision = \frac{tp}{tp+fp} \quad (22)$$

$$Recall = \frac{tp}{tp+fn} \quad (23)$$

$$Accuracy = \frac{tp+tn}{tp+tn+fp+fn} \quad (24)$$

where *tp* (true positive) is a properly classified positive example, *tn* (true negative) is a correctly classified negative example, *fn* (false negative) is a incorrectly classified positive example and *fp* (false positive) is a incorrectly classified negative example

In the first scenario, all classes of cancer were tried to classify according to 1881 features of microRNA. The normal class is a combination of all normal cell samples from different types of tissue. Based on figure 1 shown that deep learning method is very stable to classify multiclass for the precision value due to the ability of deep multi layer on deep learning are able to give optimal weight of each feature for multiclass case. Similar result shown on the class recall results as can be seen in Figure 2. Moreover, deep learning method is able to get the recall class value > 60%.

The accuracy result of each algorithm obtained for this first scenario are; Deep learning 91.49%; Naive bayes 61.54%; Decision tree 34.15%; Neural network 5.48%. Based on these results shows that deep learning has the highest accuracy, while the neural network is very small. Neural networks are implemented with a total of 50 iterations to reduce computational time as result the weighting of neurons is unoptimal.

In the second scenario, normal and cancer of breast cells were tested for classification with 1881 microRNA features. Based on figure 3 shows that class precision of deep learning has the highest True Positive value at 100%. Moreover, according to Figure 4, only deep learning method which has achievement balanced of recall class between cancer and normal. In addition, the accuracy value, deep learning is superior compare

to other methods with accuracy 99.12%; While other methods are as follows: naïve bayes 90.35%; Decision tree 96.49%; Neural network 91.23%.

In the third scenario, a simple feature selection (expression value > 10,000) is tested on normal and cancer breast cells classification. Feature selection reduce the microRNA feature number to 3 (has-mir-10b, 21, 22). Based on figure 5 shows deep learning and neural network have the similar performance in precision, moreover other methods correspondingly have high precision value. The similar result is also perceived in the recall value as shown in figure 6. In the fourth scenario, normal and cancer of breast cells are tested for classification with selected microRNA features according to the diagnostic criteria (has-mir-10b, 125-b1,125b-2, 141, 145, 155, 191, 200a, 200b , 200c, 203a, 203b, 21,210,

30a, 92a-1, 92a-2). Based on figure 7 shows that deep learning, decision tree, and neural network have a high precision results. As same as the recall according to figure 8, deep learning and neural network have high recall achievement with 100%. Moreover, the accuracy value of each method are; deep learning 100%; Naïve bayes 93.86%; Decision tree 99.12%; neural network 100%.

In the fifth scenario, normal and cancers of cervix cells are tested for classification with 1881 microRNA features. Based on figure 9 shows that nearly all methods can have high precision results, except True Negative on neural networks. The identical results shows for recall according to figure 10.

In the sixth scenario, normal and cancer of

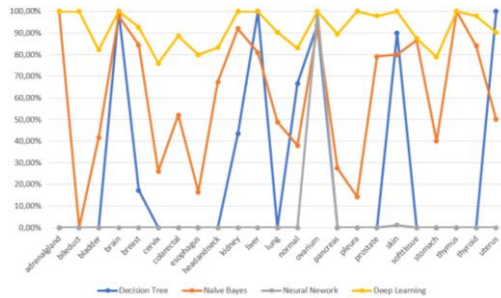


Figure 1. Class Precision of multi classes cancer.

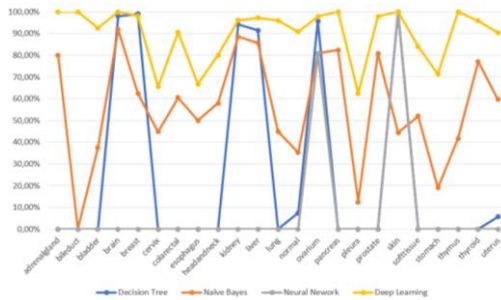


Figure 2. Class Recall of multi classes cancer.

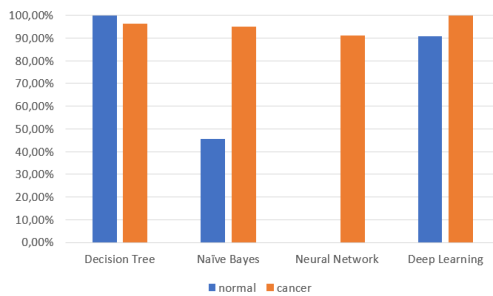


Figure 3. Class Precision of breast tissue between normal and cancer cell all feature

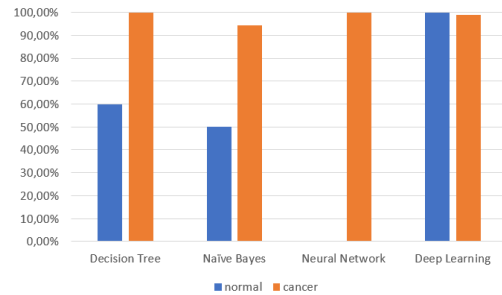


Figure 4. Class Recall of breast tissue between normal and cancer cell all feature

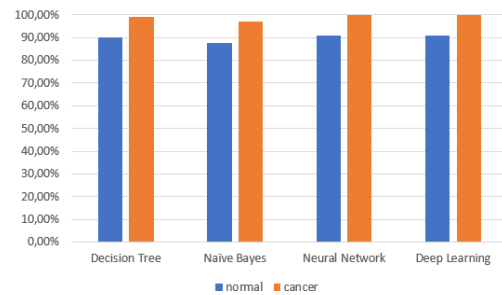


Figure 5. Class Precision of breast tissue between normal and cancer cell with feature selection on criteria > 10.000

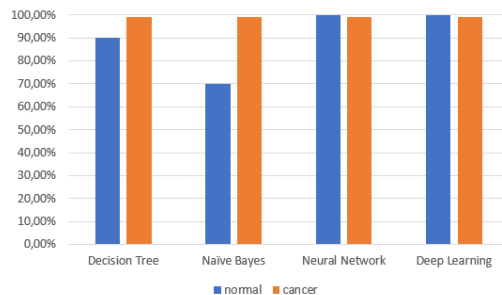


Figure 6. Class Recall of breast tissue between normal and cancer cell with feature selection on criteria > 10.000

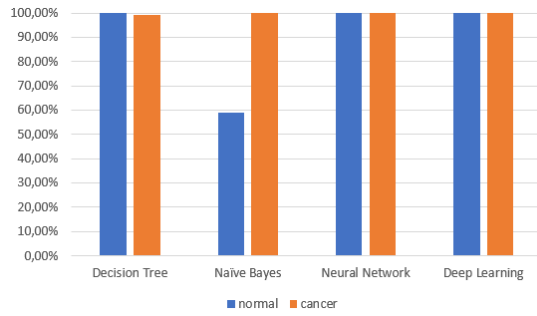


Figure 7. Class Precision of breast tissue between normal and cancer cell with feature selection on diagnostic criteria (mir-21,)

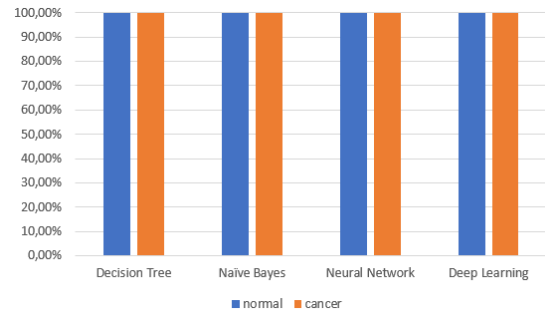


Figure 11. Class Precision of cervix tissue between normal and cancer cell with feature criteria > 10.000

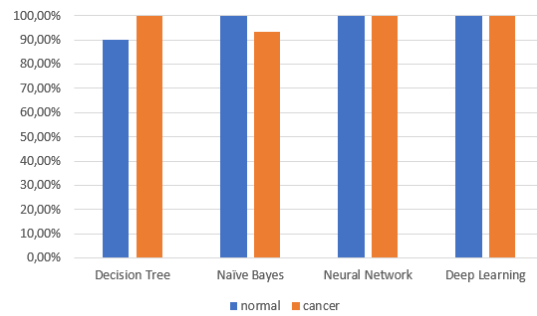


Figure 8. Class Recall of breast tissue between normal and cancer cell with feature selection on diagnostic criteria (mir-21,)

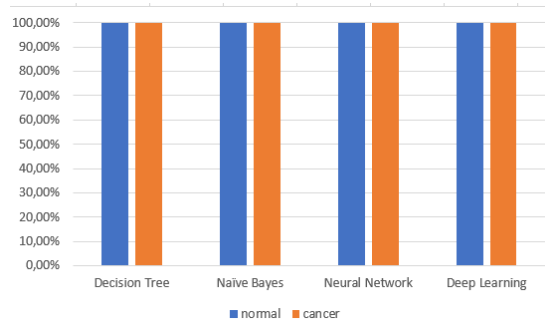


Figure 12. Class Recall of cervix tissue between normal and cancer cell with feature criteria > 10.000

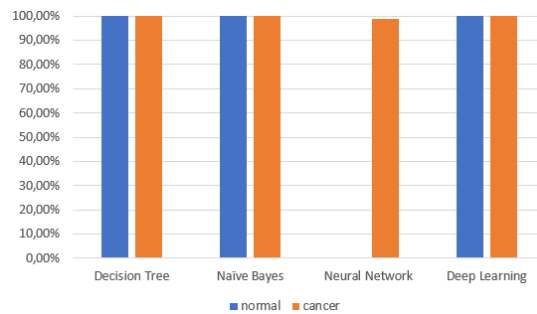


Figure 9. Class Precision of cervix tissue between normal and cancer cell all feature

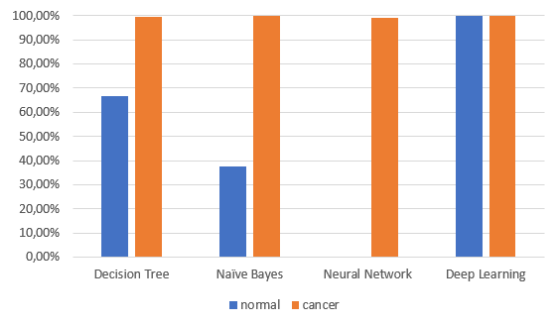


Figure 13. Class Precision of cervix tissue between normal and cancer cell with feature criteria diagnostic

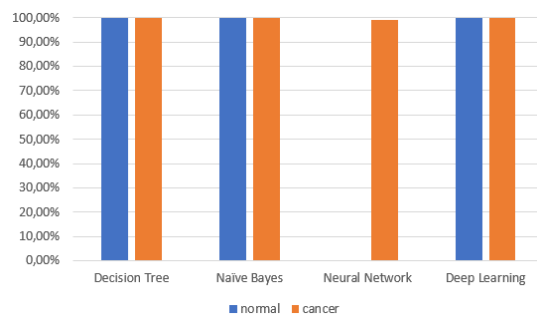


Figure 10. Class Recall of cervix tissue between normal and cancer cell all feature

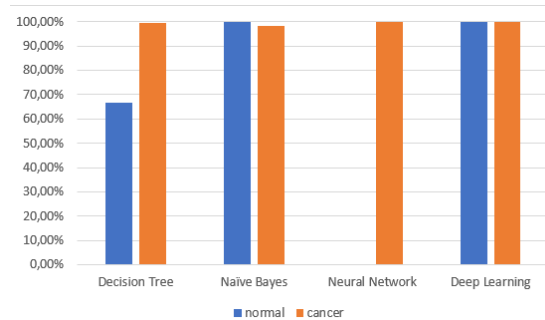


Figure 14. Class recall of cervix tissue between normal and cancer cell with feature criteria diagnostic

cervical cells are tested for classification by simple feature selection (expression value > 10,000) and obtain the feature (has-mir-103a-1,103a-2,10b, 143,21,22). Based on figure 11 shows that all methods can have a perfect classification result. The equivalent results shown for recall according to figure 12.

In the last scenario, normal and cancer cervix cells are tested for classification by choosing diagnostic features with features (has-mir-146a, 155,196a-1,196a-2, 203a, 203b, 21, 221, 271, 27a, 34a). Based on figure 13 shows that only deep learning have a faultless classification result. The similar results shows in figure 14 for recall.

#### 4. Conclusion

In this paper we have presented the performance of supervised machine learning method for classification of cancer cell expression gene data. Experimental results with various scenarios, all classes, breast classes, cervical classes, and some feature selection show that deep learning method is superior to decision tree, naïve bayes and neural network methods.

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