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Interleaved Reception Method for Restored Vector Quantization Image

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Abstract
The transmission of image compressed by vector quantization produce wrong blocks in received image which are completely different to the original one which makes the restoration process too difficult because we don't have any information about the original block. As a solution we propose a transmission technique that save the majority of pixels in the original block by building new blocks doesn't contain neighborhood pixels from the original block which increase the probability of restoration. Our proposition is based on decomposition and interleaving. For the simulation we use a binary symmetric channel with different BER and in the restoration process we use simple median filter just to check the efficiency of proposed approach.

Keywords: Decomposition, Interleaving, BSC Channel, Median Filter, Vector Quantization

1. Introduction

The reduction of bit rate recently gets lot of attention especially with the big amount of data that consume the bandwidth usage and computation resources. Many techniques have been proposed to solve this problem as shown in the articles [1-3].

In image compression, quantization is used to reduce the number of symbols and hence less the amount of information (compression) needs to be encoded. In data transmission, a serious problem faced the image encoded with vector quantization. Since the degradation will be in form of blocks. Many of published papers try to solve this problem by combination between the VQ and different transforms as shown in articles [4-6]. These combinations of those relatively basic methods utilize the favorable characteristics of each method [7].

As proposition to solve this problem, we are going to make some modification in original image by constructing new blocks that doesn't contain any neighborhood pixels this modification give us a chance to keep some pixels in the original block which make the restoration process easier because we decrease the probability of getting wrong block.

Our paper is organized as follows. In Section 2 an overview of vector quantization compression. In section 3 representation of digital channel model which is binary symmetric channel. Sections 4 to 5 describe the main steps of our proposition using the decomposition and interleaving. Section 6 then combines the results using different BER with three images Lena, boat and Goldhill. Finally, Section 7 presents our conclusions and some propositions.

2. Vector Quantization

Shannon first suggested that encoding a sequence of samples from a source can provide better result than encoding individual samples in terms of compression efficiency [8].Image data compression using vector quantization (VQ) has received a lot of attention. Since VQ has a high coding efficiency and simple decoder architecture, it is very suitable for low-bit rate applications. The general VQ algorithm has three main steps [9]:
1. First the image is partitioned into blocks which are usually 2×2, 4×4, 8×8, and 16×16.
2. After the division into blocks, a codebook which represents the best estimation of all the blocks of the image is constructed and indexed.

3. Finally, the image blocks are substituted by an index of best estimation code from the codebook.
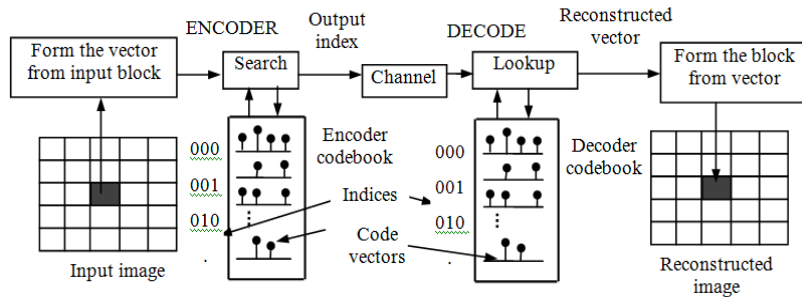

Figure 1. Vector quantization

The basic principle of vector quantization based image compression techniques is to match each input vector with a code-vector in the codebook. The distortion between the input vector and the chosen code-vector is minimum [8]. Quantization is an irreversible process (there is no way to find the original value from the quantized value) [10]. The difference between the input and output signals of the quantizer becomes the quantizing error, or quantizing noise [11].

3. Transmission Channel
The binary symmetric channel (BSC) is defined by the channel diagram shown in Figure 2, and its channel matrix is given by Equation (1):

$$[P(Y/X)] = \begin{bmatrix} 1-p & p \\ p & 1-p \end{bmatrix} \tag{1}$$

The channel has two inputs ($x_1 = 0$, $x_2 = 1$) and two outputs ($y_1 = 0$, $y_2 = 1$). The channel is symmetric because the probability of receiving a 1 if a 0 is sent is the same as the probability of receiving a 0 if a 1 is sent. This common transition probability is denoted by p [12]. The error events are also independent of the data bits [13]. This is the simplest model of a channel with errors, yet it captures most of the complexity of the general problem [14]. The capacity of this channel given by Equation (2):

$$C = 1 - H(p) \text{ in } \frac{\text{bits}}{\text{channel use}} \tag{2}$$

With the binary entropy function given by Equation (3):
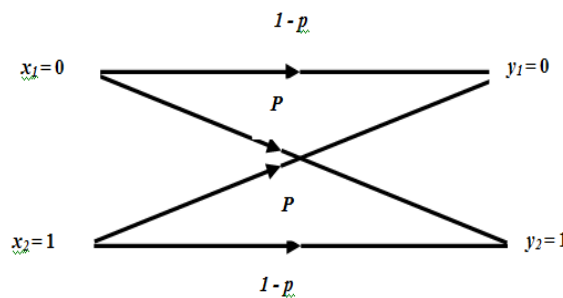
$$H(p) = -p \log_2(p) - (1-p) \log_2(1-p) \tag{3}$$

Figure 2. Binary symmetric channel

4. Decomposition

We suggest decomposing the original image into 16 images and reconstructing a new image with those images as it is illustrated in Figure 3. Which make the pixels in the reconstructed image not neighborhood pixels.
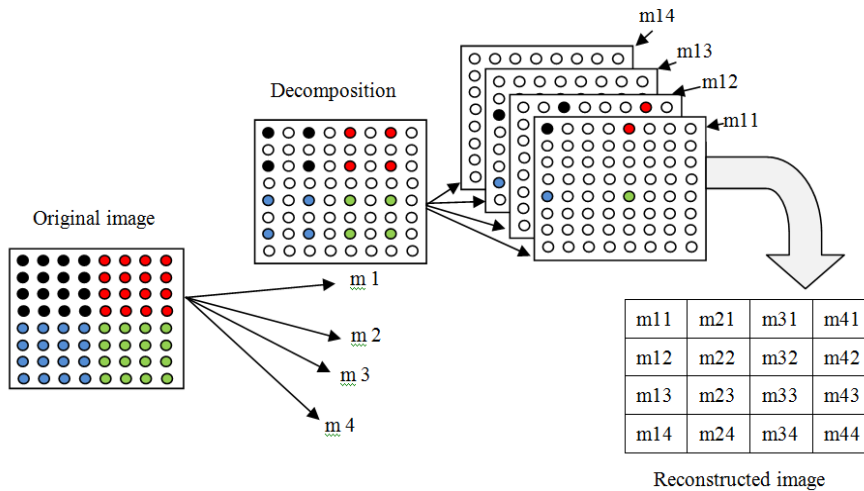
Figure 3. Decomposition of image

As shown on Figure 3 we take an example of 4 blocks size 4×4 (16 pixels for each block). The first step of decomposition will produce a new block size 4×4 contains 4 pixels from each original block. The next step of decomposition produce a new block size 4×4 contains 1 pixel from original block.

5. Interleaving

In general the interleaving is one of the most interesting techniques used in lot of applications like storage, error correction, and multidimensional data structure. We use interleaving in columns here to enhance the quality of the image after decomposition as shown in the Figure 4:
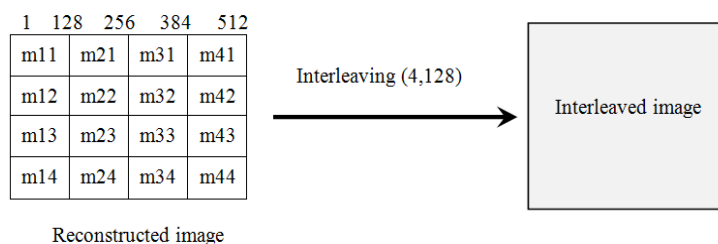
Figure 4. Interleaved image

Generally in transmission of image compressed by the vector quantization the noise attack the whole block. The use of the restoration in this case becomes useless or more difficult. The knowledge of block's pixels poses a big challenge. The idea here is to rearrange or create blocks with no neighborhood pixels from the original image. This will decrease the probability of obtaining noisy blocks in the received image, and increase the restoration probability for the noisy pixels. To achieve this aim we use the decomposition and interleaving as shown in the Figure 5.
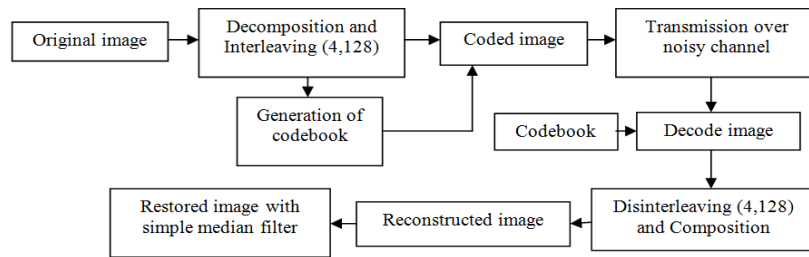
Figure 5. Proposed flowchart

After applying the decomposition and interleaving (4,128) a codebook will be generated to encode the 16 images after transmission the decoded will reconstruct the 16 images then we invert the interleaving and compose the data finally we make a restoration using simple median filter the obtained results are presented in the next section

6. Results and Analysis

For simulation we use gray level images, size 512×512, coded in 8 bits, transmitted in binary symmetric channel, compressed by vector quantization with block size 4×4 and codebook generated by LBG algorithm. For the restoration we use a standard median filter.

| Original image | Encoded image PSNR=29.153 dB | PSNR = 25.023dB at BER=10^{-2} | PSNR = 28.890dB |

| PSNR = 27.485 dB at BER=$10^{-2.5}$ | PSNR = 29.534dB | PSNR = 28.537 dB at BER=10^{-3} | PSNR =29.83 dB |

Figure 6. Restored lena image at different BER using median filter. (Left: Degraded. Right: Restored)

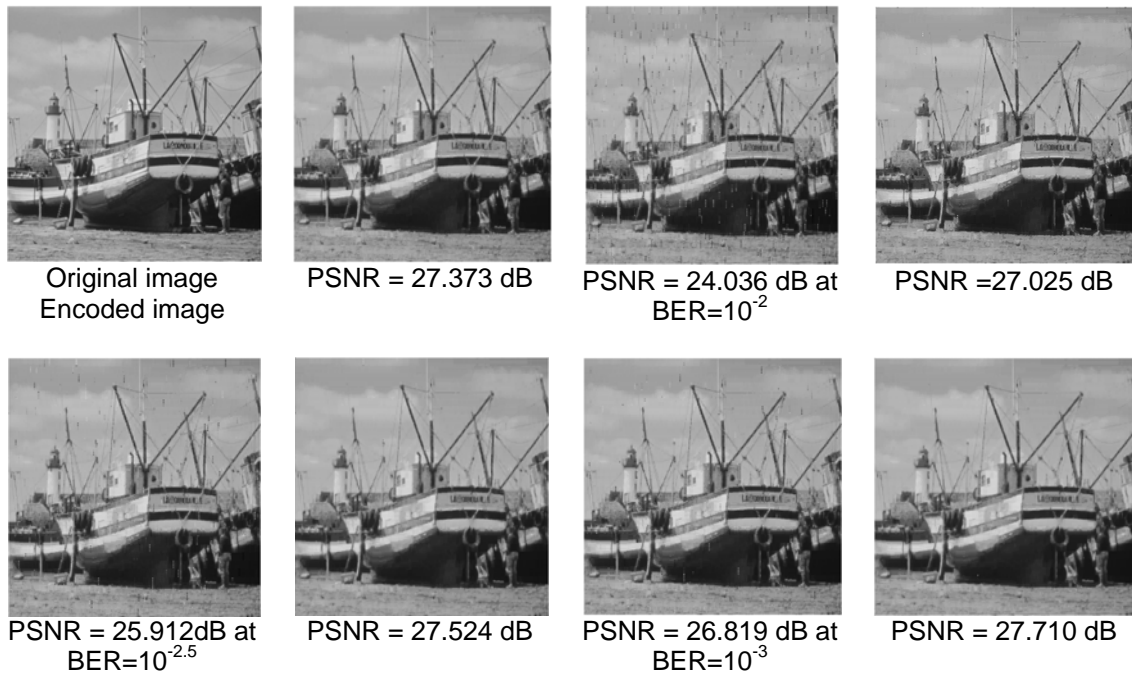| Original image Encoded image | PSNR = 27.373 dB | PSNR = 24.036 dB at BER=10^{-2} | PSNR =27.025 dB |
| PSNR = 25.912dB at BER=10$^{-2.5}$ | PSNR = 27.524 dB | PSNR = 26.819 dB at BER=10^{-3} | PSNR = 27.710 dB |

Figure 7. Restored boat image at different BER using median filter (Left: Degraded. Right: Restored)

| Original image | Encoded image PSNR = 28.172 dB | PSNR = 24.454 dB at BER=10^{-2} | PSNR = 27.628 dB |
| PSNR = 26.408 dB at BER=10$^{-2.5}$ | PSNR = 28.146 dB | PSNR = 27.527 dB at BER=10^{-3} | PSNR = 28.241 dB |

Figure 8. Restored Goldhill image at different BER using median filter (Left: Degraded. Right: Restored)

The simulation results show received images (Lena, boat and Goldhill) in different BER (10^{-2}, 10$^{-2.5}$ and 10^{-3}).

The proposed approach is based on image decomposition and interleaving in order to spread the noisy pixels in different blocks which keep some original pixels in the noise block. In

this case, the pixel recovery will be easy. The efficiency of restoration shows a good results especially with BER=10^{-2} by using simple median filter. Due to quality of reconstructed image using vector quantization compression we can't get the same improvement at BER=10^-2.5 and BER=10^{-3}. The vector quantization compression depends on the similarity of the regions it takes some samples to represents each region (codebook). In case of changing this similarity of regions the selection of samples will be more difficult and not perfect which make the reconstructed image degraded, however the restoration becomes easier because we have some information about the nature of original block, so we should balance between the quality of reconstructed image and the efficiency of the restoration, however our approach is still simple and doesn't consume lot of processing resources compared with other researcher [15-16]. Some propositions is going to be provided in conclusion that can make our proposition more efficient.

7. Conclusion

The proposed solution is not perfect as shown from the simulation results so we must take our choice between the quality of image and the efficiency of restoration (we must use the approach wisely). As proposition maybe we can optimize in the decomposition by using artificial intelligence also very sophisticated filters can be used in the data receiver to enhance the quality of image or may be by changing the way of compression.

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