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Ballistic InSb nanowires and networks via metal-sown selective area growth

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Ballistic InSb nanowires and networks via metal-sown selective area growth

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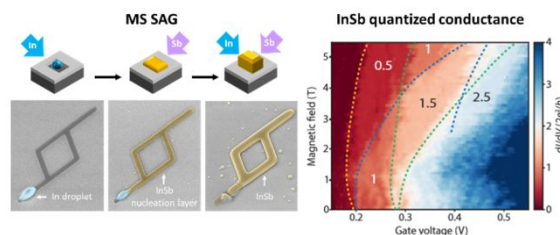
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12 KEYWORDS: InSb, molecular beam epitaxy, selective area growth, droplet epitaxy.
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21 **ABSTRACT**
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26 Selective area growth is a promising technique to realize semiconductor-
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superconductor hybrid nanowire networks potentially hosting topologically protected
Majorana-based qubits. In some cases, however, such as molecular beam epitaxy of InSb
on InP or GaAs substrates, nucleation and selective growth conditions do not necessarily
overlap. To overcome this challenge we propose Metal-Sown Selective Area Growth (MS
SAG) technique which allows decoupling selective deposition and nucleation growth conditions by
temporarily isolating these stages. It consists of three steps: (i) selective deposition of In droplets
only inside the mask openings at relatively high temperatures favoring selectivity, (ii) nucleation of
InSb under Sb flux from In droplets which act as a reservoir of group III adatoms, done at relatively
low temperatures favoring nucleation of InSb, (iii) homoepitaxy of InSb on top of formed nucleation

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3 layer under simultaneous supply of In and Sb fluxes at conditions favoring selectivity and high crystal
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5 quality. We demonstrate that complex InSb nanowire networks of high crystal and
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7 electrical quality can be achieved this way. We extract mobility values of 10,000–25,000
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9 $\text{cm}^2 \text{V}^{-1} \text{s}^{-1}$ consistently from field-effect and Hall mobility measurements across single
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We also extract a phase-coherent length of $\sim 8 \mu\text{m}$ at 50 mK in mesoscopic rings.

Semiconductor-superconductor hybrid nanowire (NW) networks are promising candidates for hosting topologically protected Majorana-based qubits, which have a potential to revolutionize the emerging field of quantum computing.¹ The III-V semiconductor InSb is of particular interest in this regard owing to its large g -factor, which enables a relatively small magnetic field to drive a hybrid semiconductor-superconductor NW into the topological regime. Moreover the small effective mass favorably leads to a large subband spacing.² So far, mostly single³ or small-scale networks⁴ of InSb NWs were used in Majorana-related transport experiments. To support further progress in the field,

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3 advanced NW networks are needed to fulfill the requirements of recent theoretical
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7 proposals.⁵⁻⁸ Selective area growth (SAG) is a promising technique for realization of in-
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10 plane NW networks, where a crystalline III-V substrate is covered with an amorphous
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13 mask and growth proceeds selectively only inside lithographically defined openings.
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17 However, early results suggest that in contrast to well-studied III-V materials such as InAs
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20 and GaAs,⁹⁻¹¹ the special case of InSb SAG by molecular beam epitaxy (MBE) has
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23 selectivity conditions that do not overlap with its preferred nucleation conditions.^{12,13} This
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27 can be overcome by using hydrogen plasma during the growth of InSb but at the cost of
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31 reduced shape uniformity of different NWs and networks.^{12,13}
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35 In this work we implement a Metal-Sown Selective Area Growth (MS SAG) technique
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38 which allows to decouple nucleation and selective growth conditions. MS SAG consists
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42 of three steps schematically outlined in **Figure 1 a**:
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- 45 (i) Selective metal sowing – supplying only In flux at relatively high substrate
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48 temperature favoring selective In droplets (“seeds”) deposition only inside the
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52 mask openings,
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4 (ii) InSb nucleation layer – supplying only Sb flux (“watering”) to convert In
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7 droplets into InSb networks at relatively low temperatures which favor
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10 nucleation of InSb; In droplets act as a sole source of group-III element in that
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14 case.
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17 (iii) Homoepitaxy of InSb on top of the nucleation layer - growth is continued
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20 under simultaneous supply of In and Sb fluxes at conditions favoring
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24 selectivity and high crystal quality; improving faceting and achieving desired
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28 out-of-plane dimensions.
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31 The broad applicability of developed technique is confirmed by successful fabrication
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34 of InSb NW networks on InP and GaAs substrates of both $\langle 001 \rangle$ and $\langle 111 \rangle_B$ orientations
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37 with InP(111)B case being studied in details. The high crystal quality and composition of
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40 both isolated NW segments and junctions are demonstrated by Aberration Corrected High
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43 Angle Annular Dark Field Scanning Transmission Electron Microscopy (AC-HAADF-
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46 STEM) and Electron Energy Loss Spectroscopy (EELS). Consistent mobility values are
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52 extracted from field-effect and Hall mobility measurements across single NW segments
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3 as well as wires with junctions. Moreover, we demonstrate ballistic and phase-coherent
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7 transport in single NWs and mesoscopic rings, respectively.
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10 All samples presented in this work are grown by MBE. Prior to loading in the MBE
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12 chamber, a hard mask is fabricated by covering the substrate with ~14 nm thick
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14 amorphous dielectric layer by plasma-enhanced chemical vapor deposition in which the
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17 NW pattern is defined by standard lithography techniques.^{9,10} The substrate temperature
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21 (T) is measured by a calibrated pyrometer for $T > 500$ °C and by extrapolating pyrometer
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24 values using a thermocouple reading for $T < 500$ °C. Fluxes of In (F_{In}) and Sb (F_{Sb}) are
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27 presented in equivalent planar InSb monolayers per second (ML_{InSb}/s).^{9,14} A standard
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31 substrate deoxidation procedure is used where it is kept under As flux (4×10^{-6} torr) for
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35 5 min for both GaAs and InP substrates at $T = 580$ and 500 °C, respectively. Note that
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39 500 °C is the highest temperature used in the entire process of InSb MS SAG on InP
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42 substrates which makes it compatible with CMOS technology. In the following text the
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45 case of InSb MS SAG on InP(111)B substrate is described in detail, while similar
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49 considerations hold for other substrates as demonstrated by successful growth of InSb
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56 MS SAG on GaAs(001) (see **Supporting Information SA**).
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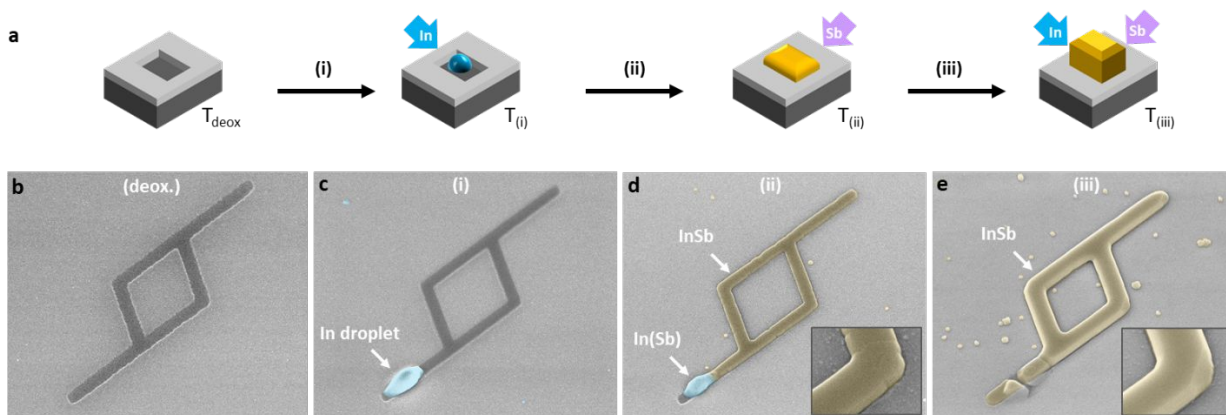


Figure 1. MS SAG of InSb NW networks. **(a)** Schematics of MS SAG step sequence with SEM images (40° tilt) illustrating the individual steps on patterned InP(111)B substrates: **(b)** deoxidized substrate, **(c)** step (i), selective sowing of In at $T_{(i)} = 465$ °C, **(d)** step (ii), conversion of In into InSb solely under Sb flux at $T_{(ii)} = 360$ °C, **(e)** step(iii), continuing in conventional SAG regime with simultaneous supply of In and Sb fluxes at $T_{(iii)} = 430$ °C. Insets highlight faceting evolution from (ii) to (iii).

In a previous work, we demonstrated selective homoepitaxy of InSb wires on InSb(111)B and InSb(001) substrates following conventional SAG method.⁹ However, in case of heteroepitaxy of InSb on InP(111)B the conventional SAG method, in which both elemental fluxes provided continuously, results in poor filling of the mask openings due to unfavorable nucleation. This is true for SAG at both the relatively high substrate temperature of $T = 430$ °C favoring selectivity conditions (**Supporting Information Figure S3 a**)¹⁵ and all the way down to the relatively low substrate temperature of $T = 360$ °C

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3 favoring nucleation of planar InSb layers (**Supporting Information Figure S3 b**).¹⁶ To
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7 overcome this issue, we have turned our attention to an Sb-induced growth technique
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10 previously proposed for planar InSb growth for the case when the optimal growth
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13 conditions are not known.¹⁴ In that method In is pre-deposited in the absence of Sb flux
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16 and then converted into planar InSb via exposure to Sb flux (under no concomitant group
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19 III flux).¹⁷ For planar growth on unmasked substrate this process can be monitored by an
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22 *in situ* reflection high-energy electron diffraction (RHEED) method.¹⁴ We have observed
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25 clear RHEED signal intensity oscillations on planar InSb(001) surfaces, indicating layer-
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28 by-layer growth, for substrate temperatures up to $T_{crit} = 400$ °C, above which no
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31 oscillations were visible (**Supporting Information Figure S4**).
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38 In this work we have adapted the above described Sb-induced growth technique to
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41 substrates with patterned amorphous masks. Here we give a more detailed description
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44 of individual steps during MS SAG (**Figure 1 a**).
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48 After successful deoxidation (**Figure 1 b**), during step (i), only an In flux is supplied to
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51 the sample at elevated substrate temperature $T_{(i)}$ resulting in stochastic positioning of In
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54 droplets selectively inside the mask openings (see **Figure 1 c**). This becomes possible
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4 due to the higher desorption rate of In adatoms from the amorphous mask compared to
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7 crystalline substrate surface.⁹ Note that we have observed the mask dielectric layer being
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10 occasionally damaged by the droplet (See **Supporting Information SD**).

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14 During step (ii) the substrate temperature is decreased to $T_{(ii)} \leq T_{crit}$ for the subsequent
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17 conversion of In into InSb under Sb flux (without concomitant In flux) to form the InSb
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20 nucleation layer. Note that despite the fact that only Sb flux is being supplied to the
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23 surface the growth proceeds under a local In-rich regime around the droplet because it
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26 acts as a metal source. However, this growth mode is not to be confused with standard
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29 in-plane vapour-liquid-solid where the droplet is moving along with growth front.¹⁸⁻²¹
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34 Resulting InSb NW networks filling the mask openings can be seen in **Figure 1 d**. Attempts
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37 to convert In into InSb above T_{crit} result in poor nucleation and highly non-uniform growth,
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41 similarly to conventional SAG, as shown in **Supporting Information Figure S3 b**.

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45 During the last step (iii) the substrate temperature is raised to $T_{(iii)}$ at which InSb growth
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48 can be continued via a conventional SAG method with both In and Sb fluxes supplied
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51 simultaneously. Here the importance of previous steps (i)+(ii) is demonstrated when
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55 comparing step (iii) of InSb MS SAG (**Figure 1 d**) to InSb growth without nucleation layer
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3 (Supporting Information Figure S3 a), performed under the same growth conditions.
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7 Indeed, InSb growth proceeds *uniformly* only in the regions where it is already nucleated
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10 and not on bare InP(111)B surfaces. As can be seen in **Figure 1 d** (inset) the InSb NW
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13 networks faceting improves at the step (iii), except for the region next to the initial In
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16 droplet position, where growth is not uniform. A similar effect was reported for quantum
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19 nanorings obtained via droplet epitaxy and is attributed to droplet induced damage of
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22 surrounding III-V surface²². Because of this limitation, the active region of devices should
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28 be carefully selected to be away from the droplet.
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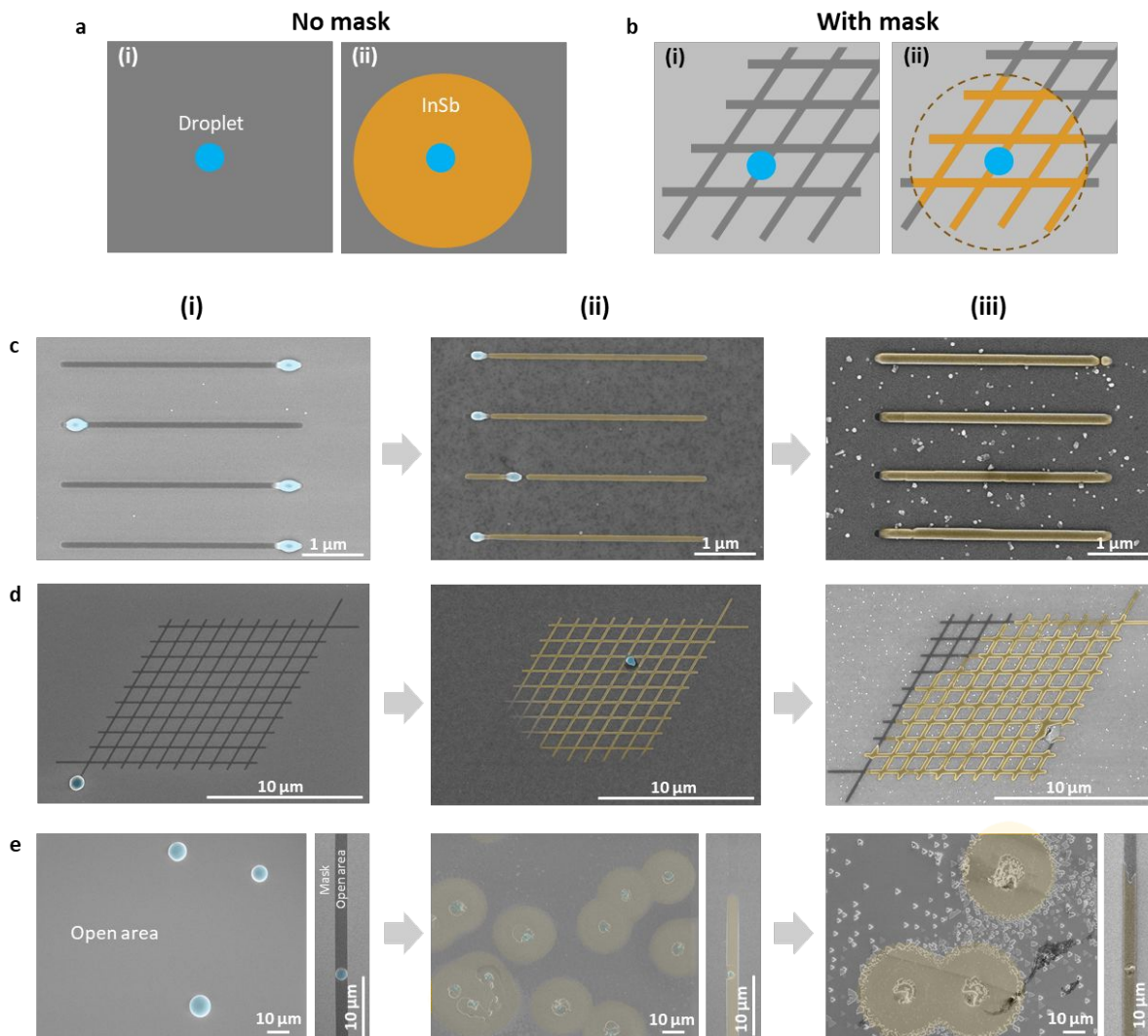


Figure 2. Schematics of diffusion limited growth during the MS SAG for samples (a) w/o and (b) w/ the mask. SEM images illustrating InSb MS SAG steps for mask openings comprising of (c) 100 nm-wide stripes, (d) interconnected networks of 130 nm-wide stripes, (e) large open areas and 2 μm-wide stripes.

We emphasize that metal droplets formed during MS SAG step (i) act as a sole source of group III adatoms during step (ii). Therefore, the maximum characteristic in-plane size of NW network is defined by surface diffusion length (D) of In adatoms on InP surface at

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4 step (ii) as schematically illustrated in **Figure 2 a, b**. This effect becomes evident when
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7 comparing InSb growth evolution during MS SAG in mask openings of different
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10 characteristic sizes and geometries (**Figure 2 c, d, e**). Following the methodology
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13 proposed for III-V droplet epitaxy^{23,24} we have estimated $D_{(ii)} = 25,8 \pm 1,3 \mu\text{m}$ at $T_{(ii)} =$
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17 360 °C from the diameter of the InSb spread around the initial droplet position on large
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20 open areas of InP surface (**Figure 2 e**). Note that in case of complex networks D can be
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23 significantly reduced due to non-trivial migration paths introduced by mask confinement
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28 (see **Figure 2 d** panel (ii)).
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32 Previously it was demonstrated that D can be improved by increasing the substrate
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34 temperature and/or decreasing group V flux.^{23,24} However, there is limit to such
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37 improvement due to T_{crit} and the finite diffusion length of In adatoms under vacuum
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40 conditions, which we determined to be $D_{(i)} = 52 \pm 14 \mu\text{m}$ (at $T = 465 \text{ °C}$ and residual
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43 pressure in the chamber of 1×10^{-10} torr). Future work is required to overcome this limit.
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49 Direct measurements of $D_{(iii)}$ are complicated due to InSb lateral growth being
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52 suppressed by non-favorable nucleation conditions in the mask regions which are not
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55 already filled with InSb (e.g. **Figure 2 d** panels (ii) and (iii)). However, it is reasonable to
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assume that $D_{(iii)} \geq D_{(ii)}$ because of homogeneous out-of-plane growth of the InSb segments.

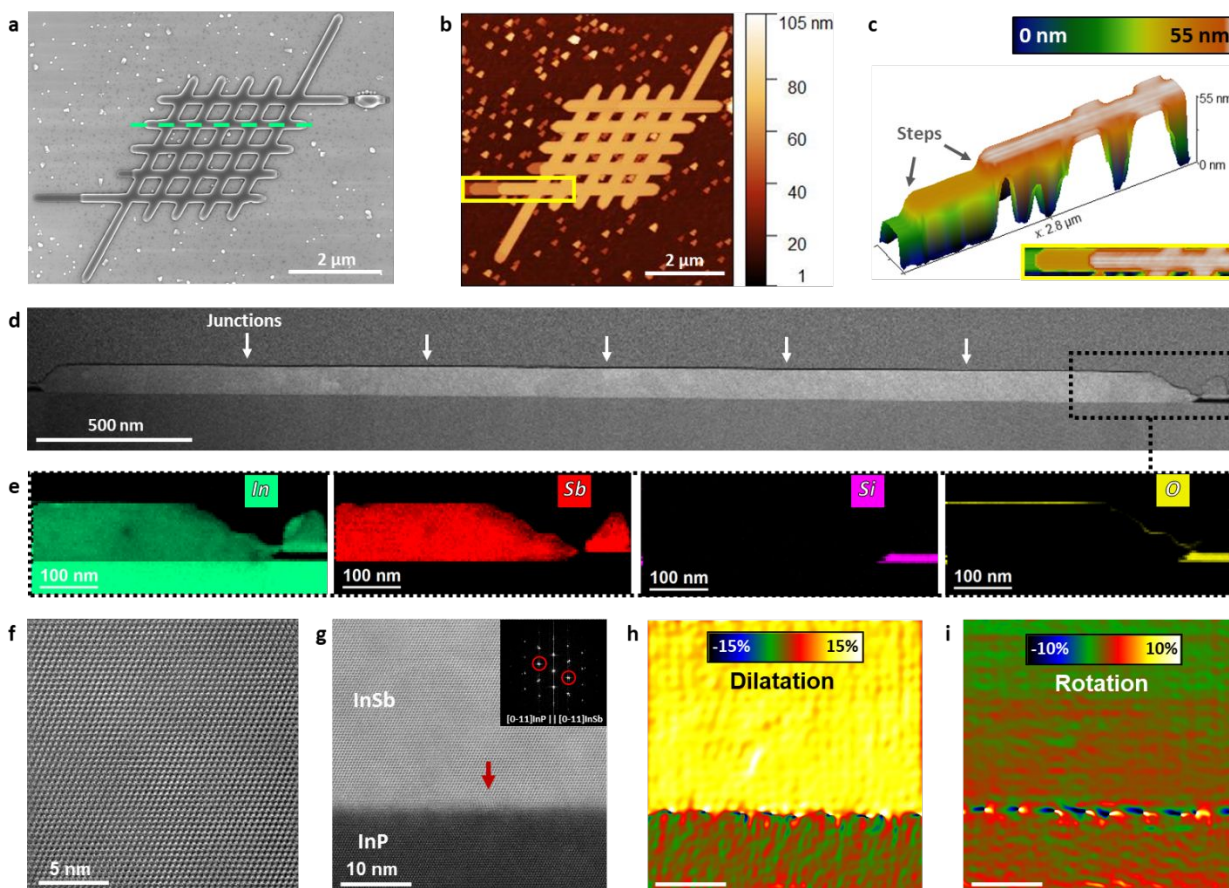


Figure 3. 5x5 InSb NW network on InP(111)B substrate with its morphology accessed by (a) SEM and (b) AFM with (c) the section highlighting the steps on its surface. Chemical composition of the similar network sliced through the 5 junctions (indicated by white arrows) observed by (d) HAADF and (e) EELS elemental maps. HAADF-STEM of (f) the top section of the InSb network and (g) InSb/InP interface containing partial twin plane (red arrow) with (h) dilatation and (i) rotation maps obtained through GPA applied to the peaks circled on a Fast Fourier Transform (FFT) power spectrum in the inset of panel (g).

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4 Out-of-plane morphology of a representative 5x5 InSb NW network with characteristic
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7 size of less than 7 μm (**Figure 3 a**) was accessed by atomic force microscopy (AFM) as
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10 shown in **Figure 3 b**. It reveals that the network's top facet is almost entirely atomically
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13 flat with only occasional large ($>7\text{nm}$ in height) descending steps at the further end from
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16 the initial droplet position (**Figure 3 c**). No additional features were found around the NW
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19 junctions such as thickening or shape distortion previously observed in case of merging
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22 of out-of-plane NWs.⁴
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28 Focused-ion beam (FIB) prepared lamella were cut longitudinally along $\langle 11\bar{2} \rangle$
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31 direction through the 5x5 InSb NW network similar to the one shown in **Figure 3 a**.
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34 Excellent chemical uniformity across the entire cut was confirmed by the Z-contrast of
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37 high-angle annular dark-field (HAADF) imaging (**Figure 3 d**) and electron energy loss
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40 spectroscopy (EELS) elemental composition mapping (**Figure 3 e**). Atomic resolution
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43 HAADF-STEM imaging revealed a B-polar pure zincblende (ZB) crystal structure of InSb
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46 on the InP (111)B substrate (**Figure 3 f and S8 e-f**).²⁵ At the InSb/InP interface we
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49 observed formation of periodic array of in-plane misfit dislocations in both $\langle 11\bar{2} \rangle$
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53 (**Figure 3 g, I and S8 c**) and $\langle 1\bar{1}0 \rangle$ (**Figure S7 b**) directions.²⁶ Geometric Phase
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4 Analysis (GPA) of the interface region (**Figure 3 h, i**) suggest that these defects are
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7 responsible for a full plastic strain relaxation of $\sim 10.4\%$ lattice mismatch between InSb
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10 and InP, as expected for largely mismatched III-V epitaxial systems.^{9,10,12,27} Moreover,
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13 occasional horizontal single twin boundaries were observed in close ($< 10\text{nm}$) region to
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16 the InSb/InP interface (red arrow in **Figure 3 g**) as well as transverse 70.53° double twin
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19 boundaries (**Figure S8**), similarly to previously reported InAs SAG on InP(111)B
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22 substrate.⁹ Additionally, we emphasize that we found no significant difference in structural
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25 nor chemical uniformity of NW junction regions compared to junction-free segments.
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31 Refer to **Supporting Information SE** for TEM examination of other wire orientations.
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35 Having verified the structural quality of our InSb NWs and networks we now move to
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38 low-temperature electrical measurements to characterize the relevant scattering length
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41 scales in classical and quantum transport. After MBE growth, the wafer is diced into $5 \times$
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44 5 mm chips, each of which contains various semiconducting structures available for
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48 transport characterization devices. Ohmic contacts, dielectrics and gates are fabricated
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51 by standard means (**Supporting Information SF**). Devices are then cooled down in a
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55 dilution refrigerator with a base temperature of $T \sim 20\text{ mK}$. Measurements are performed
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3 with standard DC + lock-in techniques at frequencies below 100 Hz in either voltage-
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7 biased or current-biased circuits.
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10 Initial characterization is done by measuring the electron mobility defined in the Drude
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14 model for diffusive transport. We report on two types of strategies commonly employed
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17 in the literature to extract mobility using transport in one and two-dimensional
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20 nanostructures. The first is that of the classical Hall effect (**Figure 4a-d**) and the second
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23 is the long-channel field-effect transistor (FET) measurements (**Figure 4e,f**).
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28 While Hall effect measurements have been the standard for two-dimensional materials,
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31 the planar device geometry required is not as easily achieved for NWs. Although Hall
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34 effect has been measured in InAs NWs by making use of the surface electron
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37 accumulation layer in that material,²⁸ electron depletion at InSb surfaces precludes similar
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40 attempts on InSb NWs.²⁹ Thus electron mobility in InSb NWs has been most commonly
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43 extracted either by taking the peak transconductance³⁰ or by fitting FET pinch-off
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46 curves.³¹ Both Hall effect and field-effect methods assume the Drude model of
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49 conductance $\mu = \sigma/(ne)$ (μ, σ, n, e are mobility, conductivity, carrier density per volume and
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52 elementary charge, respectively). For both methods σ is measured directly, but n is
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3 obtained differently for each method. Hall effect measurements give direct access to n
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7 via the Hall resistance R_H but field-effect measurements rely on estimation of n via $Q = e\mathcal{V}$
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10 $n = CV_g$. Here, C is the gate-to-device capacitance and V_g the gate voltage (\mathcal{V} and Q are
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13 the volume of the semiconductor and total charge). A major drawback of this method is
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17 that only the product μC can be reliably extracted from a fit to the data. Acquiring an
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21 accurate estimation of μ then relies crucially on a reliable estimation of C (or Q), which is
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24 not trivial for nanodevices with non-ideal semiconductor-dielectric interfaces. However,
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28 the design flexibility of SAG allows us to easily overcome this drawback in straight NWs
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31 by fabricating NW Hall bars and measuring the carrier density via R_H , which does not rely
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34 on any C estimation and only requires NW width and length^{32,33} as input parameters.
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38 Below, we first present such junction density and Hall mobility measurements assuming
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42 uniform electron sheet density throughout the Hall bar. The information obtained from this
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45 measurement then allows us to tune up a more detailed model of the device capacitance
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48 that includes local electron density variations and can be used for field-effect mobility
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51 estimations. Finally, comparison between mobilities obtained by the two methods are
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55 discussed.
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4 Transport measurements in Hall-bar devices are shown in **Figure 4 a-d**. A ~ 10 nA AC-
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7 current bias I_{bias} is applied as depicted in the circuit in **Figure 4a**. The longitudinal voltage
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10 response along the NW V_{xx} and the transverse voltage across a junction V_{xy} are
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13 measured using two synchronized lock-in amplifiers. Examples of the raw data taken
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16 during such a measurement are shown in **Supporting Information SG**. Using the Hall
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19 effect we extract the density n_j in the NW junction through $V_{xy} = I_{\text{bias}}B_{\perp}/(n_{j,2D}e)$, where
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22 B_{\perp} is the applied out-of-plane magnetic field and $n_{j,2D}$ the electron sheet density in the
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25 junction, defined as n_j/t with t being the NW thickness. By measuring V_{xy} and fitting it
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28 linearly in relation to the applied magnetic field, we obtain directly $n_{j,2D}$. This measurement
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31 is repeated on each device at different $n_{j,2D}$ values by tuning V_g (**Figure 4b**). Next, we can
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34 use the four-terminal conductivity along the NW $\sigma_{xx} = \frac{I_{\text{bias}}}{V_{xx}}L_{xx}/(Wt)$, with (L_{xx}) the length of
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36
37 the channel and (W) the width, to determine the Hall mobility as $\mu_H = \sigma_{xx}/(n_j e)$ (**Figure**
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44 **4c**). Strictly speaking, the estimation of mobility requires the channel density n_c in the
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47 straight wire segment instead of n_j . This inadequacy resulting from the uniform density
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50 assumption will be addressed below once we calibrate the electrostatic simulations with
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3 the Hall measurement results and use it to model single NWs. As V_g increases, μ_H
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7 increases until it saturates at high positive V_g to value in the range 10,000 – 25,000 cm² V⁻¹
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10 s⁻¹. Increased scattering at low n points towards a charged scattering,^{34–36} with defects
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12
13 residing either in the NW interior or the semiconductor surfaces³⁷ and become better
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16 screened as n increases. At higher n , the saturation or slight decrease of μ is suggestive
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19 of surface roughness being the dominant scattering mechanism.^{38,39} Such roughness and
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22 defects are known to occur in native InSb oxide surfaces^{40,41} and become more relevant
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25 as the electron distribution gravitates towards the semiconductor-dielectric surface under
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28 positive gate voltages, as evidenced by our electrostatic simulations. Other factors
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31 including polar molecule adsorbants on InSb³¹ and imperfections in the dielectric used
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33
34 may also contribute to the surface scattering. We can also calculate the mean free path,
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37 or the elastic scattering length, as $l_e = \mu \hbar k_F / e$, where $k_F = \sqrt{2\pi n_{2D}}$ is the two-dimensional
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40 Fermi wave vector. Assuming typical values of $n_{2D} \approx 1 \times 10^{12}$ cm⁻² and $\mu \approx 2 \times 10^4$ cm²/(V
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43 s), we estimate $l_e \approx 330$ nm. These results compare favorably with existing literature on
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46 InAs or InSb NW crosses produced by either SAG or VLS methods.^{10,12,32,33} We would
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48
49 like to stress that as Hall effect measurements probe the transport properties inside the
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4 NW cross junctions, the high mobility demonstrates the promising potential of our planar
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7 SAG approach in realizing advanced multi-terminal NW devices for topological quantum
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10 computing.^{8,7,6}

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14 In order to benchmark our MS SAG InSb NWs with their VLS-grown counterparts using
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17 the same method³¹ and to compare transport in single wires and cross structures, we also
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19
20 measured field-effect mobility μ_{FE} in both single NWs and the Hall bars described above.

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24 In the former case, NW FETs (**Figure 4d**) are fabricated with contact spacing either $L = 2$
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27 or $3 \mu\text{m}$ and a top gate that wraps around the transport region. For the latter we simply
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30 float the four transverse voltage probing arms of the NW Hall bars and perform two-
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33 terminal measurements from the left lead to the right lead. We measure current while
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35
36 varying V_{g} in both directions and fit the DC-conductance G with

$$G(V_{\text{g}}) = \left[R_{\text{s}} + \frac{L^2}{\mu_{\text{FE}} Q_{\text{c}}(V_{\text{g}})} \right]^{-1} \quad (1)$$

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46 which takes as fitting parameters μ_{FE} , the total resistance in series with the transistor R_{s}
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49 and any unaccounted-for pinch-off threshold voltage ΔV_{th} by the simulated amount of
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52 charge $Q_{\text{c}}(V_{\text{g}})$ accumulated in the transport channel as a function of V_{g} . Here, theoretical
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3 modeling of the charge accumulation is achieved via 3D Thomas-Fermi (T-F) finite-
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7 element electrostatic simulations, which takes into account a layer of interface charge at
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10 the semiconductor-dielectric interface.^{42,43} The T-F approximation is well applicable to
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14 high electron density regimes when the electron Fermi wavelength is smaller than the
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17 device width $\lambda_F < W$.⁴² The interface charge density D_{it} is obtained by setting it as a fitting
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20 parameter while calibrating the model of the NW cross on the Hall-bar charge density
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24 measurement results shown in **Figure 4c**. The fitted values of D_{it} for the 6 Hall bars ranges
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27 from $0.8 \times 10^{12} \text{ cm}^{-2} \text{ eV}^{-1}$ to $6.8 \times 10^{12} \text{ cm}^{-2} \text{ eV}^{-1}$ with the average being $2.9 \times 10^{12} \text{ cm}^{-2} \text{ eV}^{-1}$,
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31 similar to experimental findings of the quantity on InAs NW transistors in reference.⁴⁴ In
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34 the case of linear charge accumulation $Q = C(V_g - \Delta V_{th})$ and $D_{it} = 0$, this method reduces
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37 to the standard literature approach.³¹ Due to different surface to volume ratios and the
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40 gate geometry, we observe typically different electron density in the junction (n_j) and in
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43 the straight channel (n_c) for NW Hall bars. The translation from n_j to n_c (and thus Q_c of the
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46 FET devices) and other details of the model are described in the **Supporting Information**
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52 **SH**. The example of such a pinch-off curve and the device on which it was measured,
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3 together with the simulated charge area density by our theoretical model, are shown in
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7 **Figure 4e.**
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10 We have thus measured sixteen FETs and the results are summarized in **Figure 4f**. The
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12 averaged field-effect mobility $\bar{\mu}_{\text{FE}} = 1.9 \pm 0.6 \times 10^4 \text{ cm}^2 \text{ V}^{-1} \text{ s}^{-1}$ for upward gate sweeps,
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14 agreeing roughly with μ_{H} data. The μ_{FE} measured on NW Hall bars are displayed in **Figure**
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16
17 **4d** as horizontal lines spanning the gate range in which they are measured. The difference
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19 between μ_{FE} and μ_{H} may be attributed to the fact that they do not reflect transport
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21 properties in the exact same regions in the device. Where μ_{FE} is measured between the
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23 normal contacts, μ_{H} is measured only between the voltage probes of the Hall bar.
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34 Furthermore, hysteresis in pinch-off curves and the finite surface charge density required
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36 to match simulations with the measured n indicate the presence of a dynamic surface
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38 charge density at the semiconductor-dielectric interface, which complicates the
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41 comparison. However, we observe that the extracted μ_{FE} of single NWs, of entire Hall
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43 bars and μ_{H} are all in a similar range, which would mean that the cross junctions do not
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60 disproportionately add more scattering. Such cross junctions are crucial ingredients for

integration of parity read out needed for measurement-based braiding of Majorana zero modes.^{8,7,6}

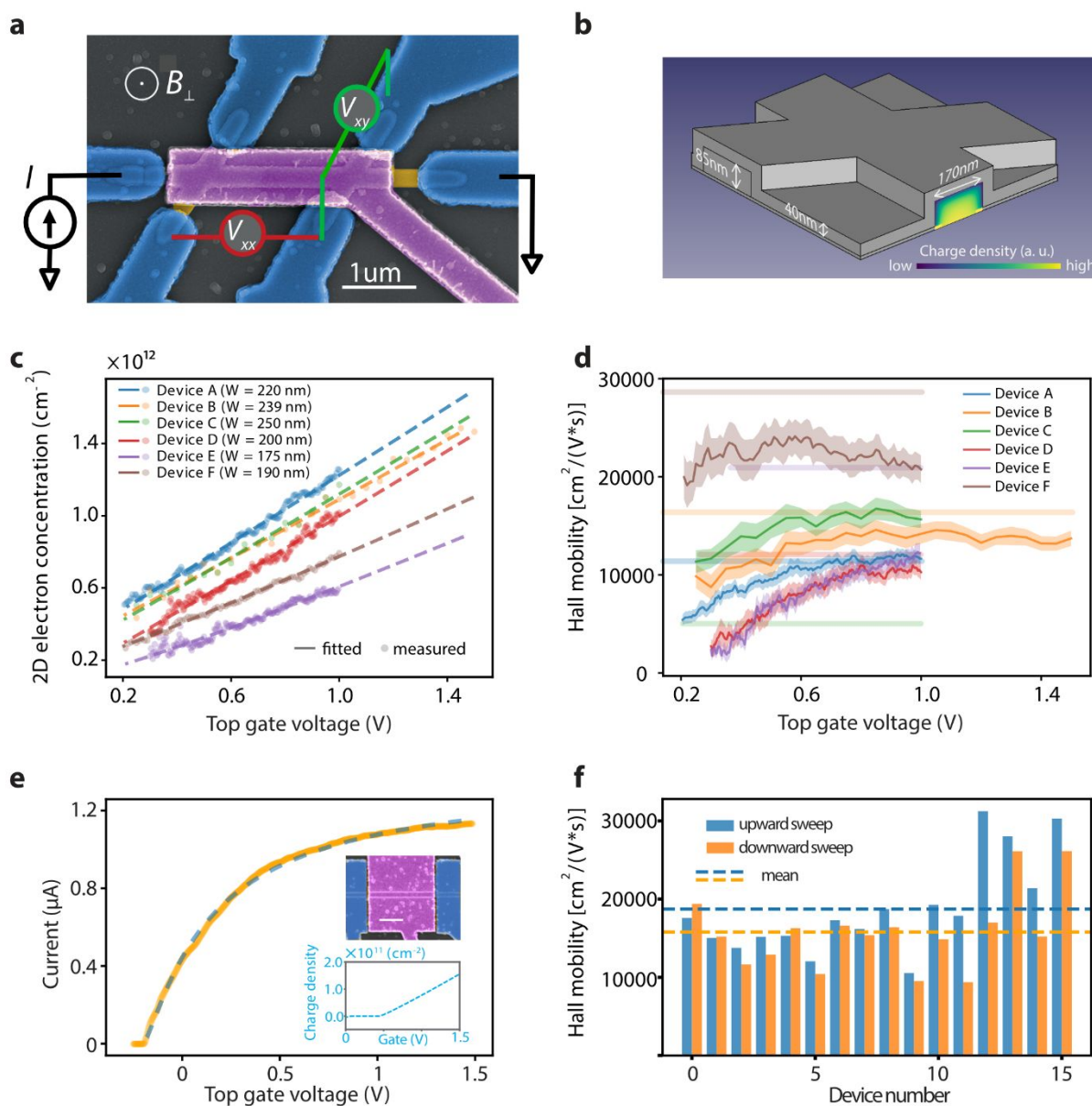


Figure 4. Diffusive transport properties of NWs and junctions demonstrating high electron mobility in both Hall effect and field-effect transistor measurements. **(a)** False-colored SEM image of a Hall bar measured

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3 (Device C) with illustration of the four-terminal circuit used for Hall effect measurements. Blue regions mark
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6 the Cr/Au Ohmic contacts evaporated on top of the sulphur-passivated surface of InSb. The purple region
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9 marks the gate electrode, separated from the NW by a layer of SiN_x dielectric (not visible) sputtered globally
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12 onto the entire chip. Blue is the NW. The scale bar is 1 μm . **(b)** View of the NW model used for electrostatic
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15 simulation of the Hall bar junctions. The potential profile is simulated for the NW-cross region depicted
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18 assuming appropriate material parameters and with input from the Hall measurements to establish the
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21 surface charge density. The tiled inset shows an example of the calculated electron density profile in the
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24 cross section. **(c)** Carrier concentration of the 6 NW Hall bars obtained from classical Hall effect
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27 measurements via $n_{2D} = (e\Delta R_H/\Delta B)^{-1}$, together with the calibrated simulation result of them. **(d)** Hall
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30 mobility calculated from carrier concentration and sample resistivity obtained by Hall measurements
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33 described above according to $\sigma = ne\mu$. Horizontal lines in each color represent the corresponding field-
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36 effect mobility on each device. **(e)** An example pinch-off curve (orange) of the FET device used for field-
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39 effect mobility extraction and its SEM image shown in the top inset (scale bar is 1). A DC bias voltage
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42 $V_{\text{bias}} = 10 \text{ mV}$ is applied between source and drain contacts (blue). G is measured while applying V_g to the
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45 gate (pink). Blue dashed lines are best fits of Eq. (1) to the data from which we extract μ . **(f)** Field effect
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48 mobility of all NW FETs measured. All curves were taken by sweeping the gate both from below pinch-off
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51 to saturation (upwards) and in the opposite direction (downwards). Horizontal dashed lines indicate the
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54 averaged mobility of all devices in both directions.
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4 With the mobilities we observed in long channels, we set out to measurement of NW
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7 quantum point contacts (QPCs) and confirm ballistic transport in our InSb MS SAG
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10 NWs.^{4,45–47} Indeed we observe ballistic transport in such a single NW QPC device with
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14 440 ± 20 nm contact spacing (**Figure 5a-d**), as well as in other devices (**Supporting**
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16
17 **Information SI**). We measure the differential conductance of the device shown in **Figure**
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20 **5a** as a function of DC- V_{bias} , V_g and B_{\parallel} . **Figure 5b** shows pinch-off traces taken at V_{bias}
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24 $= 0$ V in DC under increasing B_{\parallel} from left to right (offset horizontally for clarity). A
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27 conductance plateau at $G_0 = 2e^2/h$ begins to emerge at around $B_{\parallel} = 1.2$ T as cyclotron
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30 orbits gradually suppress backscattering.⁴⁵ More plateaus appear at higher fields and at
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34 other multiples of $0.5G_0$ as Zeeman splitting lifts the electron spin degeneracy of the
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37 subbands. The red linecut at $B_{\parallel} = 3.9$ T show conductance plateaus of the first, third and
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40 fifth spin-split subbands. We attribute slight deviations of the plateaus from half-integer
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45 multiples of G_0 to unaccounted-for contact resistance.

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48 We investigate the evolution of the conductance plateaus with B_{\parallel} (**Figure 5c**). For
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52 higher B_{\parallel} , the plateaus widen and become more clear as spin splitting becomes larger.
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56 At around $B_{\parallel} = 3.9$ T, the higher-energy spin subband of the lowest orbital ($E_{1\uparrow}$) crosses
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3 the lower-energy spin subband of the second orbital ($E_{2\downarrow}$), rendering the $1G_0$ plateau too
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7 narrow to distinguish until $B_{\parallel} > 5$ T when it re-emerges after the crossing. As for B_{\parallel}
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10 < 1.2 T, clear plateau features become obscured by mesoscopic conductance
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14 fluctuations which can be attributed to backscattering as a result of uncontrolled potentials
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17 induced by non-gated section of the transport channel and/or by the contacts to the
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21 semiconductor.

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24 Bias spectroscopy taken at $B_{\parallel} = 3$ T (**Figure 5d**) further reveals relevant energy scales
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28 via diamond-shaped conductance plateaus of the first few spin-split subbands.^{45,46} The
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31 $0.5G_0$ plateau vanishes at $V_{\text{bias}} \approx 8$ mV when the chemical potential difference between
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35 the two leads is equal to the energy splitting between the first two spin-split subbands.⁴⁸⁻⁵⁰
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38 The relation $eV_{\text{bias}} = E_{1\uparrow} - E_{1\downarrow} = g\mu_{\text{B}}B_{\parallel}$, where μ_{B} is the Bohr magneton, allows us to
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42 extract a Landé g -factor of $g \sim 46$, in accordance with previous observations in InSb VLS
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45 NWs.^{45,51,52} The subband spacing between the first two spin-degenerate orbitals is
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49 similarly calculated by summing the width of the first two diamonds to be ~ 12 meV. We
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53 consistently observe ballistic transport on length scales of several hundred nm in multiple
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56 InSb MS SAG QPC devices (**Supporting Information SI**).

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4 With ballistic transport established in InSb MS SAG, we finally move to demonstrate
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7 phase coherent transport and extraction of inelastic scattering length, a.k.a. phase
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10 coherence length (**Figure 5e-g**) by a quantum interference experiment. Crucially, this
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13 requires the ability to grow high-quality networks as demonstrated in **Figure 2**. Such
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16 networks are requisite ingredients for implementing proposals for manipulating Majorana
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19 states via electron teleportation⁸ and for making topological qubits,^{6,7} provided electrons
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22 retain their memory of the quantum mechanical phase throughout the structure. The
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25 canonical experiment for proving phase-coherent transport is by measuring the
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28 conductance of a semiconducting loop modulated by Aharonov-Bohm (AB) interference
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31 (**Figure 5e**).^{4,53} In such magnetoconductance measurements the two-terminal
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34 conductance is probed from one side of the loop, with surface area A , to the other while
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37 it is threaded by a flux $\Phi = B_{\perp} A$. If the transport is phase coherent, the applied flux
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40 induces conductance oscillations as a result of the quantum interference between
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43 electron trajectories passing through the two arms of the loop. The periodicity of the
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46 oscillations depends on the loop area A and the magnetic flux quantum $\Phi_0 = h/e$ as ΔB_{\perp}
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 $= \Phi_0/A$.

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4 **Figure 5f** plots two representative magnetoconductance measurement results in MS
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7 SAG Aharonov-Bohm (AB) loop devices. We observe higher frequency oscillations
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10 superimposed on an irregular slow-varying background of mesoscopic conductance
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13 fluctuations. After subtracting the background, the conductance clearly exhibits periodic
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16 oscillations as shown in the example in the inset of **Figure 5f**. Such magnetoconductance
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19 traces are then taken with the device depicted in **Figure 5e** for several values of V_g and
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22 their Fourier spectra are averaged to reveal a clear peak at the expected frequency in
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28 **Figure 5f**. Its second harmonic is also visible in the spectrum, which results from AB
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31 interference between electron paths of opposite directions traversing the entire loop. The
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34 peak broadening can be explained by the finite width of the wire, which sets upper and
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37 lower bounds on the periodicity. The expected bounds coincide well with the observed
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42 peak.

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45 We can extract the electron phase coherence length l_ϕ in our devices by measuring the
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48 temperature dependence of the first harmonic peak amplitude. In the case of diffusive
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51 transport, the peak amplitude is expected to follow the relation $A_{h/e} = A_0 \exp(-a\sqrt{T})$
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56 where A_0 and a are fitting parameters and the phase coherence length is described in
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3 these terms as $l_\phi = \frac{L}{a\sqrt{T}}$ with L being the loop circumference.^{54,55} We measure AB
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7 oscillations in the same range of magnetic field at different temperatures on the device
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10 shown in **Figure 5e** and fit the first-harmonic peak in each Fourier spectrum with a
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13 Gaussian envelope. The peak amplitudes thus obtained are then fitted with A_0, a as
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17 parameters and the resulting l_ϕ dependence on temperature is plotted as the orange
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20 dashed line in **Figure 5g**. To visualize the standard deviation of the fitting procedure, we
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24 translate the oscillation amplitude at each measured temperature back into a
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27 decoherence length scale and plot them in the same panel together with the fitting
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30 standard deviation. The phase coherence thus extracted is about 7.5 μm at 50 mK, the
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34 measured electron temperature in our fridge.
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39 In summary, we have demonstrated the Metal-Sown Selective Area Growth technique
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42 to overcome the challenge of non-overlapping nucleation and selective growth conditions
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45 and applied it to InSb heteroepitaxy. This is achieved by selective group III adatoms pre-
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48 deposition at selectivity favoring conditions and its subsequent conversion into III-V
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51 crystal under group V flux at nucleation favoring conditions. We have successfully
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4 obtained complex InSb nanowire networks and accessed confirmed their high structural
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7 quality by transmission electron microscopy. Consistently high mobility values are
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10 extracted by both Hall and field effect techniques in the presence of cross junctions. The
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13 materials quality was verified by the observation of ballistic transport with conductance
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16 plateaus up to the fifth spin-split subband and a long phase coherence length of 7.5 μm .
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21 The results point at promising applications of InSb nanowire networks to advanced
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24 topological hybrid semiconducting/ superconducting networks.
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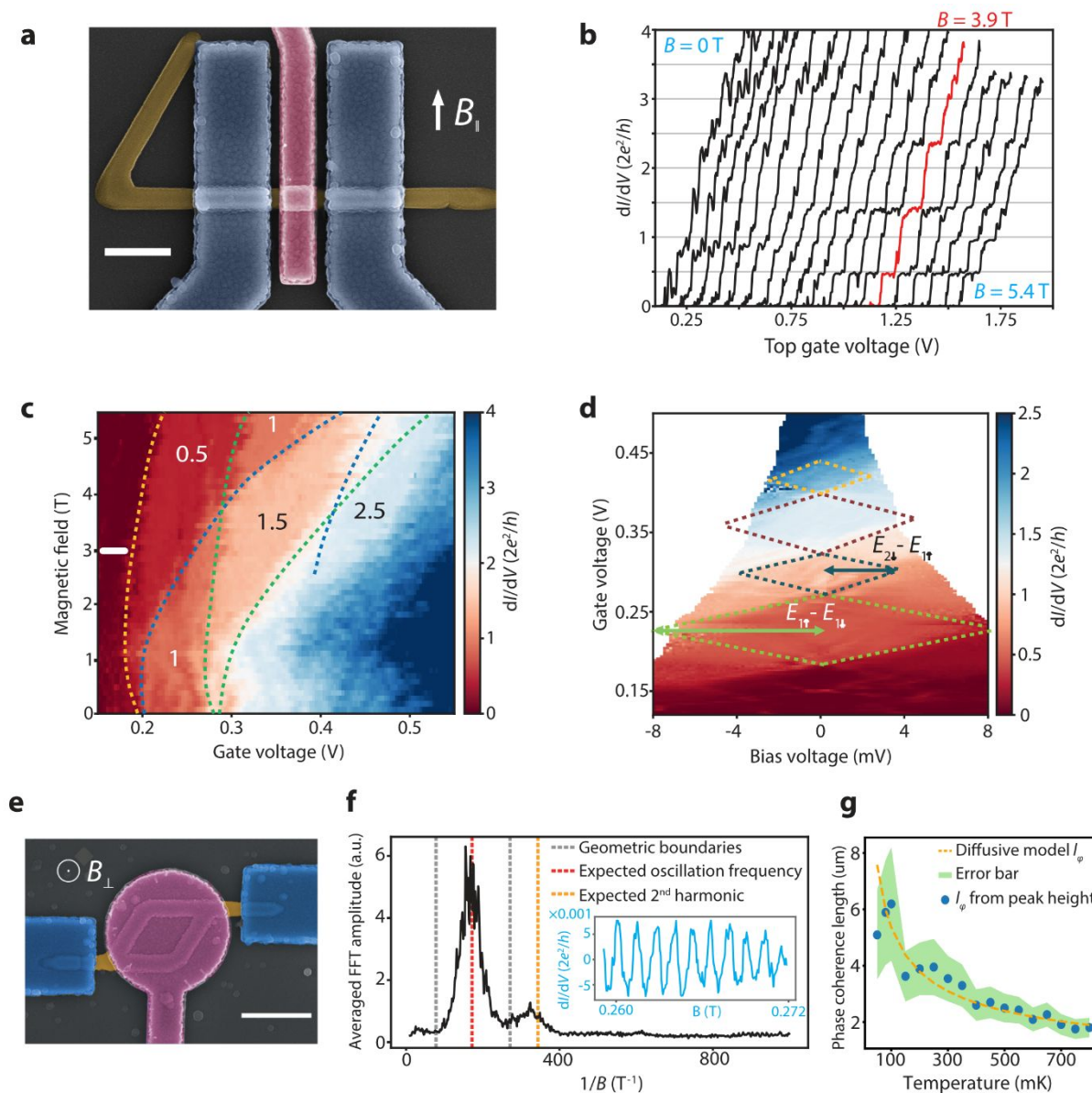


Figure 5. Ballistic transport under finite magnetic field in an InSb quantum point contact and phase coherent transport in a NW loop. **(a)** False-colored SEM image of the InSb QPC device. Contacts are in blue, gate in purple and NW in blue. Scale bar is 500 nm. Magnetic field is applied along the in-plane direction perpendicular to the NW. **(b)** Zero-DC-bias pinch-off traces of the device shown in (a), taken at field values between 0 and 5.5 T with intervals of 0.3 T. Each curve is shifted horizontally from the previous one by

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3 +75 mV for clarity. Highlighted curve at 3.9 T shows the first, third and fifth spin-split conductance plateaus.
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6 **(c)** Plot of zero-DC-bias conductance under different gate and magnetic field showing the evolution of
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8 subband plateaus as increasing B gradually suppresses backscattering and increases the splitting between
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10 the two spin subbands. Dashed lines are guides to the eyes separating conductance plateaus. **(d)**
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13 Differential conductance measured as a function of V_{bias} and gate voltages showing the first few spin-split
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15 subbands, taken at a magnetic field of 3 T (indicated in panel **(c)** by a white line). The diamond shapes in
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17 the color plot provide information on the g -factor and subband spacing in the NW as indicated by the labels.
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21 **(e)** Top-view SEM image of one of the InSb NW loops in which Aharonov-Bohm conductance oscillations
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23 were observed. Ohmic contacts are marked in blue and the wrapping gate in purple. The circumference of
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25 the loop measured along the geometrical center of the NW is $4 \mu\text{m}$. The scale bar is 800 nm. Magnetic field is
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27 applied perpendicular to the loop. The area enclosed by the NW center is measured to be $0.69 \mu\text{m}^2$. **(f)**
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31 Averaged fast-Fourier-transform spectrum of magnetoconductance traces of the device in (a) among
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33 different gate voltages, after subtraction of a low-frequency background. The red line identifies the peak
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35 corresponding to the magnetic field periodicity given by a flux quantum through the area of the loop. Grey
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37 lines denote the expected widening of the signal peak due to the finite width of the NW. The second
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39 harmonic peak is identified by the orange line. Inset: the magnetoconductance trace of another loop with a
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41 larger size (circumference $8 \mu\text{m}$, area $3.25 \mu\text{m}^2$) after subtraction of background. **(g)** Temperature
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43 dependence of the extracted phase-coherence length as the orange dashed line, together with the fitting
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3 errors and the measured oscillation amplitudes translated into length scales according to the fitting formula
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6 as scattered dots.
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10 11 12 ASSOCIATED CONTENT 13

14 15 16 17 **Supporting Information.** 18

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21 The supporting information is available free of charge on the website.
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23

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25 Additional details and figures on InSb MS SAG on GaAs(001) substrates,
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27 demonstration of trials of conventional SAG of InSb, RHEED oscillation during planar
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29 InSb growth, In droplet induced damage to the mask, and strain relaxation in InSb MS
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31 SAG on InP(111)B substrates. Device fabrication details, examples of Hall effect
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33 measurements, details on electrostatics simulations, and all other QPC plateaus
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35 observed in measurements are given as well (PDF).
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50 51 AUTHOR INFORMATION 52

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Author Contributions

P.A. conceived the idea for the research as well as performed the growth, growth kinetic studies, morphological analysis and wrote the corresponding part of the manuscript. G. W., and L. B. fabricated devices and performed their electronic characterization and analysis and G. W. wrote the corresponding part of the manuscript. A. S. developed mask preparation procedure and provided patterned substrates for the growth. L.J. S., A. B., and J. D. W. assisted with device fabrication and electronic measurements. S. M.-S., M. B. and J. A. performed TEM sample preparation and related structural and compositional analyses as well as wrote the corresponding section of the manuscript. D. A., J. G., K. v. H. developed computational model for mobility curves fitting. F. B. participated in the growth discussion and assisted with the growth. P. C., G.d. L., and L. P. K. supervised the work and provided extensive comments to the manuscript. All authors commented on the work and provided valuable input throughout the project as well as approved the final version of the manuscript.

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