Invited Paper

Pulsed thermal NDT in tables, figures and formulas

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ABSTRACT

Several reviews and summary papers describing the history and the current status of pulsed thermal nondestructive testing (TNDT have been published recently. However, some of the theoretical possibilities cannot easily be implemented in practical applications. This paper contains useful tables and formulas that are illustrated with typical IR thermograms to provide a general overlook of pulsed TNDT.

Keywords: thermal nondestructive testing, modeling, data processing, heat conduction

1. INTRODUCTION

Reviews on thermal nondestructive testing (TNDT) can be found in References [1-14]. A general review of the history of infrared (IR) technology is shown in Table 1. Terminology used in TNDT is shown in Table 2.

Table 1. IR technology and TNDT in short: historical milestones (adapted from [14])*

BCE. The existence of thermal rays was hypothesized by Titus Lukretius Carus (99 - 55 BCE), a Roman poet and the author of the epic «De Rerum Natura» («On the Nature of the Universe»).

1770. Pictet, a French scientist, described his famous experiment on focusing heat and cold.

1800. Official credit to the discovery of IR radiation is paid to Sir William Herschel.

1840. John Herschel, the William's son, proposed the prototype of an evaporograph and introduced the term «thermogram».

1900s. Einstein, Kirchhoff, Planck, Wien et al. discovered the laws of thermal radiation.

1934. Holst constructed the image converter tube (wavelength range up to 1.5 µm).

1935. Nichols: IR radiometric analysis of hot rolled metals.

1937. Vernotte: Determination of material thermal properties in a dynamic thermal process.

1940s. Night vision equipment. IR photodetectors.

1948. Parker and Marshall: Analysis of temperature distribution in brake shoes.

1949. Gorrill: Inspection of soldered seams in tin cans. Leslie and Wait: power transmission line surveys.

1954. Barnes airborne scanner as a prototype of IR imagers.

1960. IR scanners produce images in 5 minutes.

1961. Detection of overheated components on circuit boards.

1965. AGA (then AGEMA Infrared, now FLIR Systems) introduced the first radiometric IR camera.

1965. Beller: Active TNDT of Polaris rockets. Green: Active TNDT of nuclear fuel elements.

1970s. Balageas, Karpelson**, MacLaughlin, Popov**, Vavilov et al.: 1D, 2D and 3D Thermal NDT models. Use of heat transfer classical solutions.

1973. AGA introduced the first battery-operated portable industrial system, model 750.

1980s. Almond, Berardi, Busse, Carlomagno, Cielo, Favro, Hartikainen, Mandelis, Milne, Rapoport**, Reynolds, Rosencwaig et al.: Thermal wave theory, pulsed TNDT, thermal property measurement. Degiovanni, Maillet et al. introduced «thermal quadrupoles».

1987. A single-piece, thermoelectrically-cooled IR imager with onboard digital image storage introduced by AGEMA, model 470.

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1990s. Almond, Balageas, Bison, Bremond, Budadin**, Burleigh, Busse, Cramer, Degiovanni, Grinzato, Krapez, Luong, MacLachlan Spicer, Maldague, Marinetti, Rantala, Vavilov, Walther, Winfree et al.: Practical implementation of TNDT. Development of defect characterization algorithms. IR computerized systems. Study of fatigue phenomena. Various industrial applications. IR thermographic diffusivity and effusivity measurement.

1990s. Uncooled microbolometric IR imagers. Quantum well arrays. A camcorder-style FPA camera from Inframetrics (1995). A low-cost snapshot IR camera from Infrared Solutions (1997).

2000. Thermal/visual/voice and text data logging IR imagers (FLIR Systems ThermaCAM PM 695).

2000s. Avdelidis, Ayvasyan, Balageas, Batsale, Bendada, Busse, Cernuschi, Cramer, Dillenz, Hsie, Maillet,

Maldague, Mulaveesala, Nowakowski, Oswald-Tranta, Sakagami, Shepard, Tuli, Więcek, Wu et al.: Commercial Thermal NDT equipment. Novel stimulation techniques. Sophisticated data processing algorithms.

2010s. Maierhofer, Oswald-Tranta, Rajic, Safai, Schlichting, Zalameda et al.: Eddy current IR thermography. Portable equipment for active TNDT.

* Many researchers who contributed to passive IR thermographic inspection are unfortunately not mentioned, as the emphasis of this paper is active TNDT.

** Earlier Russian publications, not easily available to Western readers [15-17].

Term	Description
Active IR thermography	Infrared thermographic examination of materials and objects that requires
(active TNDT)*	additional thermal stimulation.
Ampligram	Image that contains pixel-based values of Fourier magnitude at a particular
(image of magnitude)	frequency.
Chronological thermogram	Temperature temporal evolution in a particular point.
Defect characterization,	Determining defect parameters by applying inverse algorithms to
(identification,	experimental data.
parameters retrieving)	
Temperature difference signal	The difference between the temperature at a current point and a point taken
	as a reference.
Differentiated contrast	A true temperature is corrected by the theoretical value determined on the
	basis of the classical solution for adiabatic heating of a semi-infinite
	body) [18]*.
Direct TNDT	Temperature evolution in space and time is calculated by known sample
mathematical problem	geometry and material thermal properties.
Dynamic thermal tomography	Tomographic presentation of objects by analyzing temperature temporal
	evolution in a front-surface test.
Early detection time	A time τ^* when a temperature signal $\Delta T(\tau)$ starts to exceed a level of
	noise (typically, τ^* is much shorter than the optimum observation time τ_m).
Infrared thermographic testing	Inspection of materials and products using infrared thermography.
(thermographic testing)*	
Infrared thermography	Imaging an object by sensing the infrared (thermal) radiation emitted by it.
(IR thermography) *	
Infrared (IR) thermogram*	A thermal map or image of a target where the grey tones or colors represent the
	distribution of infrared thermal radiant energy emitted by the surface of the target.
Inverse TNDT problem	Sample/defect thermal properties and geometrical parameters are determined
-	by experimentally measured temperature evolution in space and time.
Maxigram	Image that contains pixel-based maximum values of a chosen meaningful
	parameter (differential temperature signal) independently of the time of
	their appearance.
Normalized temperature	Obtained by dividing each image in a sequence by a chosen (normalizing)
contrast	image. This technique may suppress uneven heating patterns.

Table 2. Pulsed TNDT terminology (in alphabetic order, adapted from [14])

Term	Description
Optimum observation time	A time $\tau_{\rm m}$ when a maximum value of a chosen decision-making parameter,
	e.g. signal-to-noise ratio, appears.
Phasegram	Image that contains pixel-based values of Fourier phase at a particular
	frequency.
Polynomial fitting	Fitting noisy temporal evolution functions with polynomial functions
	(a source sequence of arbitrary length can be replaced with few <i>images of</i>
D:	polynomial coefficients).
analysis (PCA)	A kind of singular value decomposition.
Pulse phase thermography	Processing technique used in <i>pulsed thermography</i> in which data are analyzed in the
(PPT)*	frequency domain rather than in the time domain.
Pulsed thermography*	Active infrared thermographic inspection technique, in which a test sample is
	stimulated with a pulse of energy and recorded infrared image sequences are
Deflection and	analyzed to enhance defect visibility and to characterize defect parameters.
(front surface, one sided test)	Informal stimulation and temperature monitoring occur on the same sample
(Ifont-sufface, one-sided test)	Sufface.
Running temperature contrast	point. This parameter is independent of absorbed energy.
Singular value decomposition	Calculation of a covariation matrix and its eigenvectors of input data.
(SVD)	Eigenvectors are placed in order of their magnitude, thus providing
	components of an analyzed statistical set. By neglecting low-order
	components, it is possible to improve results, by reducing the effect of such
	things as uneven heating.
Spatio-temporal filtering	The algorithm involves simultaneous spatial and temporal filtering to enhance the sig
(STF)	Input parameters are thermal diffusivity and sample thickness or
<u>Stimulated</u> (General setime	maximum depth of detection [19].
stimulated (forced, active,	Additional thermal stimulation is applied.
Synthetic signal processing	A data processing technique patented by Shepard [20] that involves:
Synthetic signal processing	1) polynomial fitting: 2) restoring a source function by polynomial
	coefficients: 3) analysis of temperature derivatives in time.
Synthetic thermal	This data processing technique was proposed by Ringermacher et al. [21].
time-of-flight technique	It involves the determination of inflection points in $\Delta T(\tau)$ curves that
(STTOF)	allows the conversion of temperature images into depthgrams.
Thermal/Infrared NDT	See infrared nondestructive testing.
Thermal tomography*	A data processing technique used in pulsed thermography in which data is analyzed
8 1 8 1 9	in comparison with a particular time of interest, such as the time of maximum
	thermal contrast.
Thermal tomogram	Image that contains pixel-based values of thermal properties (defect
	indications) within a chosen material layer.
Thermal wave imaging*	An active infrared thermographic inspection technique, in which a test sample
	is heated with periodic pulses of thermal energy. The term is applied to pulsed
Thermographic signal	A signal-processing technique for reconstructing and improving
reconstruction (TSR)*	time-resolved thermal images, used in pulsed thermography testing and
	based on polynomial fitting of temperature decay.
	Note: This is a type of synthetic signal processing [20].
Timegram	Image which contains pixel-based values of a characteristic heat transit times.
	e.g. optimum observation time.
Transmission mode	Thermal stimulation and temperature monitoring occur on opposite sample
(rear surface, two-sided) test	surfaces.

Term	Description
Vibrothermography*	Thermographic technique for examining an object where temperature differences are created by mechanical vibrations
Wavelet thermography	A kind of <i>Pulsed phase thermography</i> implementing the representation of
	a source temperature function by wavelets.

* These terms are given in accordance with the ISO # 10878 international standard (1st edition 11 January 2013).

** References are given for some recently proposed terms.

2. ACTIVE TNDT CONCEPT

The basic concept of TNDT is that a test sample is thermally stimulated and the sample's dynamic temperature is thermographically monitored (Fig. 1). Thermal properties of the sample should be known or determined so they can be used in defect characterization procedures (in some cases, the measurement of thermal properties is a separate task). The choice of a heat source is crucial in providing optimum test conditions especially for specific types of defects. For example, 'kissing' defects can be difficult to detect by applying optical heating. However these, may be detected when stimulated by ultrasonic excitation as they may produce a sufficient amount of thermal energy due to internal friction. Water trapped in an aircraft honeycomb panel can be thermographically detected after the plane lands due to the cooling (or freezing) it experiences at high altitude coupled with its high heat capacity. Cracks in steel are difficult to detect when using optical heating but they may be easily detected using inductive heating.



Figure 1. Concept of active TNDT

Any test scheme can be theoretically modeled in order to better understand the mechanism of defect detection and determine the optimal test conditions, such as the power and duration of the heating, IR imager frame frequency and

temperature resolution, etc. Noise characteristics, which are specific for each test object, are important input parameters in modeling. The knowledge of noise amplitude allows evaluation of TNDT limits.

The IR imager provides a sequence of raw IR images, which reflect the dynamic behavior of surface temperatures. Raw IR images can be enhanced ('improved') by applying simple or advanced data processing algorithms. Some algorithms, such as filtration, Fourier and wavelet transform, principle component analysis (PCA), are not linked to the physics of heat conduction. On the other hand, defect characterization algorithms are based on particular thermal models where the analysis of temperature dynamics is crucial.

Ideally, the final test result is a binary map that highlights defects on a uniform background.

Finally, when using some data inversion procedures, defect depth and thickness can be evaluated. The resultant images may be called "depthgrams" and "thicknessgrams".

Illustrations of the above are shown in Section 5.

3. MODELING IN TNDT

A great variety of solutions to 1D heat conduction can be found in the seminal book of Carslaw and Jaeger [22] and other later monographs. However, many of the solutions are difficult to use because they are too general. The solutions that are widely used in TNDT are often limited to adiabatic models where a semi-infinite body or plate is heated by a heat flux which can be described mathematically as a step, square pulse or Dirac-pulse function. These solutions are shown in Table 3 in a convenient, useful form.

Table 3. Classical TNDT solutions (adiabatic test samples)

Test scheme	Solution			
	Semi-infinite body			
<i>W</i> - absorbed energy, J'm ⁻² ; $e = \sqrt{KC\rho}$ - effusivity (thermal inertia), W's ^{1/2} ·m ⁻² ·K ⁻¹ ; <i>K</i> - thermal conductivity, W'm ⁻¹ ·K ⁻¹ ; <i>C</i> - specific heat, J.kg ⁻¹ ·K ⁻¹ ; ρ - density, kg'm ⁻³ ; $a = K/(C\rho)$ - thermal diffusivity, m ² ·s ⁻¹ ; α -heat exchange coefficient, Wm ⁻² K ⁻¹				
$\begin{array}{c} T \\ W, Q \\ \rightarrow \\ z \end{array}$	Step-function, Front surface: $\frac{T}{Q/\lambda} = 2 \left(\frac{a\tau}{\pi}\right)^{1/2}$ Square pulse, Front surface: $\frac{T}{Q/K} = 2\left(\frac{a\tau}{\pi}\right)^{1/2} - 2\left[\frac{a(\tau - \tau_h)}{\pi}\right]^{1/2}$ Dirac pulse (flash), Front surface: $\frac{T}{W} = \frac{1}{e\sqrt{\pi\tau}}, e = \sqrt{\rho K}$ Harmonic function: $(Q = Q_m \cos(\omega\tau))$: $\frac{T(z = 0, \tau)}{Q_m} = \frac{1}{K\sqrt{\omega/a}} \cos[\omega\tau - \Theta], \Theta = 45^\circ.$ Point-like non-moving source: $\frac{T}{W'} = \frac{1}{4(\pi a \tau)^{3/2}} e^{-4a\tau}, r^2 = x^2 + y^2$ Gaussian non-moving source: heat energy distribution in space: $e^{-(x^2 + y^2)/2R^2}$;			

$$T(r, z=0, \tau) = \frac{W}{2\pi e \sqrt{d\tau_{n}}} \int_{0}^{t} J_{0}(\sigma \tau) e^{\frac{d\tau_{n}}{k}} \times x$$

$$\times |erf(\sigma\sqrt{d\tau}) - \Theta(\tau - \tau_{n})erf(\sigma\sqrt{d\tau}\sqrt{F - \tau_{n}})|d\sigma; r^{2} = x^{2} + y^{2};$$

$$\Theta(\tau - \tau_{n}) - \text{step-function (Heviside); } J_{0} - \text{Bessel function.}$$
Step function, Front surface: $T = \frac{QL}{K} (Fo + \frac{1}{3} - \frac{2}{\pi^{2}} \sum_{n=1}^{t} n^{2} e^{-n^{2}\pi^{2}r_{n}}).$
Rear surface: $T = \frac{QL}{K} (Fo - \frac{1}{3} - \frac{2}{\pi^{2}} \sum_{n=1}^{t} n^{2} e^{-n^{2}\pi^{2}r_{n}}).$
Square pulse, Front surface: $T = \frac{QL}{K} [Fo_{h} + \frac{2}{\pi^{2}} \sum_{n=1}^{t} n^{2} e^{-n^{2}\pi^{2}r_{n}} (e^{e^{2\pi r_{n}}} - 1)].$
Rear surface: $T = \frac{QL}{K} [Fo_{h} + \frac{2}{\pi^{2}} \sum_{n=1}^{t} n^{2} e^{-n^{2}\pi^{2}r_{n}} (e^{e^{2\pi r_{n}}} - 1)].$
Rear surface: $T = \frac{QL}{K} [Fo_{h} + \frac{2}{\pi^{2}} \sum_{n=1}^{t} n^{2} e^{-n^{2}\pi^{2}r_{n}} (e^{e^{2\pi r_{n}}} - 1)].$
Rear surface: $T = \frac{QL}{K} [Fo_{h} + \frac{2}{\pi^{2}} \sum_{n=1}^{t} n^{2} e^{-n^{2}\pi^{2}r_{n}} (e^{e^{2\pi r_{n}}} - 1)].$
Rear surface: $T = \frac{QL}{K} [Fo_{h} + 2 \sum_{n=1}^{\infty} (e^{-n^{2}\pi^{2}r_{n}} - 1)].$
Rear surface: $T = \frac{QL}{K} [Fo_{h} + 2 \sum_{n=1}^{\infty} (e^{-n^{2}\pi^{2}r_{n}} (e^{-n^{2}\pi^{2}r_{n}} - 1)].$
Harmonic function, Front surface: $T = \frac{Wa}{KL} [1 + 2 \sum_{n=1}^{\infty} (e^{-n^{2}\pi^{2}r_{n}} - 1)].$
Harmonic function, Front surface: $T = \frac{Wa}{KL} [1 + 2 \sum_{n=1}^{\infty} (e^{-n^{2}\pi^{2}r_{n}} - 1)].$
Harmonic function, Front surface; Non-adiabatic case $(Q = Q_{m} \cos(\omega \tau))$:
$$\frac{T}{Q_{m}/\alpha}} = A \cos(PdFo - \Psi); \quad A_{0} = (N_{N} - 1)^{1/2};$$

$$\Psi = A rctg (i - \frac{N_{n} - N_{n}}{N_{1} + N_{-1}}); N_{1} = \frac{ch}{ch} \sqrt{fPd} + \frac{d}{K}; \quad Pd = \frac{\omega L^{2}}{a}.$$
Point-like non-moving source, Front surface:
$$T = \frac{Wa}{KL} \frac{1}{4\pi a L \tau} e^{-\frac{\pi^{2}r^{2}r_{n}}}{e^{-\frac{\pi^{2}r^{2}r_{n}}}}; r^{2} = x^{2} + y^{2}.$$
Gaussian non-moving source, Front surface:
$$T(r, z = 0, \tau) = \frac{2W}{\pi p} \frac{e^{-\frac{\pi^{2}r^{2}r_{n}}}}{e^{-\frac{\pi^{2}r^{2}r_{n}}}}; r^{2} = x^{2} + y^{2}.$$

Analytical solutions in Table 3 do not include defect parameters. To analyze defects, one must implement either analytical multi-layer, or numerical models.

A short description of available software is given in Table 4. When using these commercial software packages, difficulties may arise in modeling 3D non-linear and pulse heating situations. Specialized programs may be less flexible but may be faster and more applicable to specific problems..

Table 4. General-purpose commercial packages for performing thermophysical calculations*

Program/ Web site	Feature**		
General purpose programs			
Abaqus Unified FEA www.3ds.com/products- services/simulia/products/ abaqus/	Finite element method Vehicle loads, dynamic vibration, multi-body systems, impact/crash, nonlinear static, thermal coupling, and acoustic-structural coupling		
Adina (Automatic Dynamic Incremental Nonlinear Analysis) System www.tdoglobal.com/Distrib ution-Adina-Software	A set of programs for static and dynamic displacement and stress analyses of solids, structures and fluid structure systems		
Algor/Multiphysics www.algor.com/products/an alysis_replays/	Transient coupled fluid flow and thermal analysis		
Ansys/Multiphysics www.ansys.com	General purpose software Finite element method		
CosmosM/HSTAR www2.htw- dresden.de/~fem/Docs/COS MOSM/HSTAR pdf	Controlled numerical grid 2D & 3D geometry		
Comsol Multiphysics http://www.comsol.com/co msol-multiphysics	General purpose software, based on advanced numerical methods, for modeling and simulating physics-based problems Transient heat transfer Thermal properties dependent on temperature		
Marc http://www.mscsoftware.co m/product/marc	General purpose software, nonlinear finite element analysis Static, dynamic and multi-physics loading Anisotropic materials Heat exchange by convection and radiation		
Matlab/PDE http://www.mathworks.com /products/matlab/	General purpose software Smart power grid Boundary conditions dependent on time Layers separated by a thermally-resistive gap		
MSC-Nastran www.macsch.com Samsef/Thermal	General purpose software, finite element analysis Signatures of IR radiation in typical wavelength bands		
www.samsef.com			
Mathematica SmartCAE Heat Transmission http://www.wolfram.com/pr oducts/applications/	General-purpose software Calculation of steady and transient heat conduction		
smartcae/ MuSES, RadTherm, WinTherm www.thermoanalytics.com	Thermal and infrared analysis software modules		

Specialized modeling programs (Innovation, Ltd.)			
Layer-3 Analytic	Analytical solution for heating a 1D three-layer non-adiabatic plate with a square pulse		
Mulilayer-3D	Numerical solution for heating a 1D multi-layer plate, arbitrary heating function and		
	phase transformation in an internal layer		
ThermoCalc-2D	Numerical solution for heating a 2D three-layer disk-like body with a concentric defect		
	(cylindrical geometry)		
	Heating with a square or harmonic pulse		
	Thermal wave heating		
	Adaptive convection & radiation		
ThermoCalc-36L	Numerical solution for heating a 3D 36-layer parallelepiped-like body with up to 9		
	parallelepiped-like defects (Cartesian geometry)		
	Layer thermal property tensor can be oriented in space under a particular angle		
	Heating with a square or harmonic pulse		
	Arbitrary heating function in time/space		
	All model parameters are arbitrary functions of time		
	Spatial heat mask (artificial or experimental)		
	Producing IR image sequences		
ThermoSource	Similar to ThermoCalc-36L, but with internal heat sources		

* Some data: courtesy of E. Grinzato.

** Some features apply to particular programs only.

4. BASIC FEATURES OF ACTIVE TNDT

A schematic of classical TNDT, including the thermal response of both sides of the sample, is shown in Fig. 2a. A sample is stimulated on the surface with power Q, Wm^2 (flash stimulation is described with the energy W, Jm^2). Temperatures T_d , T_{nd} are in defect and non-defect areas respectively. The temperature difference, $\bigotimes T = T_d - T_{nd}$, that

appears over (or under) a defect, is a natural detection parameter that is linearly proportional to Q (Fig. 2b). The running temperature contrast $C = \bigotimes T$ is independent of Q (Fig. 2b). / T_{nd}

The basic features of active TNDT are presented in Figs. 2c-l for both the front and rear surfaces.

Temperature difference signals in all cases reach maximums at the corresponding optimum observation times $au_m \otimes T$

(Fig. 2c, d). Temperature contrasts C, behave in the same way but on the rear (R)-surface, its maximum typically appearing at very early times when both $\otimes T$ and T tend to zero (Fig. 2c, d). Therefore, in a two-sided procedure,

an

optimum observation time should be chosen as early as possible when the corresponding only starts to exceed $\otimes T$

noise.

Front (F)-surface signals strongly decay with defect depth l (Fig. 2e) but remain relatively the same in the case of a twosided (R) procedure (Fig. 2f).

Respectively, τ_m values increase considerably with *l* on the F-surface (Fig. 2g) and are weakly dependent of *l* on the R-surface (Fig. 2h).

Dependencies of $\otimes T_m$ and τ_m on defect thickness d and lateral size h reveal saturation on both F- and R-surfaces , C_m

(Figs. 2i-l). The interesting feature here is that τ_m values are more stable against variations of *d* and *h*. In conjunction with lower noise in the time domain, this makes time parameters preferable in active TNDT.

Data fusion	Defect detection and	Data fusion algorithms are
Combining TNDT and other NDT techniques	characterization may be more	not well-explored. Image
makes sense if: 1) TNDT serves as a	efficient due to several	preparation may be tedious
screening technique which forestalls using	physical principles involved.	because of different image
other, presumably, more reliable techniques,		formats and viewangles.
2) inspection hardware is characterized by		
mutual components, such as a heater,		
and 3) data fusion is not a simple summation		
but leads to a new quality of inspection.		



Figure 4. Preliminary and advanced data processing in TNDT (raw images: courtesy of W. Świderski)

6. CONCLUSION

This paper contains reference information on TNDT, including the historical milestones, terminology and data processing algorithms. It is hoped that it will be useful to beginning researchers in TNDT.





Figure 2. Basic active TNDT features:

a - test scheme,

b - temperature signal (contrast) vs. stimulation power,

c,d - time evolution of temperature signal (contrast), e,f

- temperature signal (contrast) vs. defect depth,

g,h-optimum observation time vs. defect depth,

i,j - temperature signal (contrast) and optimum observation time vs. thickness,

k,l-temperature signal (contrast) and optimum observation time vs. defect lateral size

5. DATA PROCESSING IN TNDT

Data (image) processing algorithms are described in Fig. 3 and Table 5.

Following the TNDT concept in Fig. 1 and the processing scheme in Fig. 3, a raw IR thermogram could first be processed to enhance the signal-to-noise (SNR) ratio, and then converted into a binary map of defects which is preferred by end-users. An example of such a process is shown in Fig. 4 in the application of the inspection of a graphite/epoxy sample. The efficiency of processing algorithms can be evaluated by SNR or visually by viewing defect maps and comparing them with the locations of real defects in a reference sample. Note that defect maps can be produced by thresholding any processed or unprocessed image. In the case of Fig. 4, the best results were obtained by applying the wavelet transform (e.g., for the central defect shown with the circle, the SNR value enhanced from 13.9 in the source image to 29 in the wavelet phasegram). The use of SNR is effective in the inspection of reference samples where the thermographer has to identify non-defect and defect areas and calculate SNR as:

$$S = \frac{\sqrt{\sum_{i=1}^{M} (T_i - \overline{T}_{nd})^2 / M}}{\sigma_{nd}}$$

where T_i is the temperature (or any derivative signal) in the *i*-th pixel of a defect area, T_{nd} is the mean temperature in a non-defect area, and M is the number of pixels in a chosen defect area.

It is important to point out that SNR values are related to pixel amplitudes and thus do not take into account the temperature pattern shape and size. The latter parameters are best evaluated by an operator and defects may be detected on a noisy background even if $SNR \le 1$.

Combining the raw data with the corresponding maps of defects allows one to choose regions of interest and characterize defect parameters, for example by producing images of defect depth and thickness, as shown in Fig. 4. Note that, in the depthgram, the central defect depth is 0.186 mm, compared to the true value of 0.2 mm. The corresponding defect thermal resistance value is 0.00197 m²KW⁻¹; hence, assuming an air-filled defect with a conductivity of 0.07 Wm⁻¹K⁻¹, and this is equivalent to a defect thickness of 138 μ m (the true value is unknown).



Figure 3. Data processing algorithms in TNDT (adapted from [14])

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Fable 5 Data	(1mage)	nrocessing a	loorithms in	TNDT ad	anted trom	114 D
Table J. Data	(mage)	processing a	igonums m	I I I I I III	apica nom	1171

Algorithm and short description	Advantages	Disadvantages
<u>Temperature difference signal</u> The technique allows the evaluation of temperature difference between defect and non-defect areas $\bigotimes T(x, y, \tau) = T_d - T_{nd}$.	The technique is naturally related to the physics of TNDT. Smaller and deeper defects produce smaller $\bigotimes T$ signals.	This technique is susceptible to surface (emissivity/absorptivity) noise. A reference point is necessary.
<u>Running temperature contrast</u> A source temperature image is replaced with the image of the $Con(x, y, \tau) = T_d / T_{nd} - 1$ parameter.	Running contrast is independent of heating power.	This technique may enhance random noise. Lateral heat diffusion is not taken into account. A reference point is necessary.
Differentiated contrast This technique assumes that at earlier times, any sample behaves as a semi-infinite body. The calculated parameter is	No reference point is necessary.	The technique is applicable for shallow defects and for a sample that can be considered as a semi-infinite body.

$C^{dif}(x, y, \tau^{(n)}) = T(x, y, \tau) -$		
$\sqrt{\frac{\tau^{(n)}}{\tau}} T(x, y, \tau^{(n)}),$		
where $\tau^{(n)}$ is the time taken for normalization [20].		
Averaging	Improvement of IR imager	The technique does not take into
The averaging of N images in time reduces	temperature resolution.	account the
random noise by		emissivity/absorptivity noise.
\sqrt{N} times.		
Normalization	Suppression of uneven heating	Random noise may increase. The
Dividing each image in a sequence by a	phenomena	efficiency is affected by lateral
chosen (reference) image.	phonomena	heat diffusion.
Early Detection	A lack of significant heat	Signal-to-noise ratio is low, so
Defect temperature patterns are analyzed at	diffusion in lateral directions	only larger defects may be
early observation times.	provides sharp images of hidden	detected, while smaller ones may
	defects.	not.
Laplace transform	Solving the heat conduction	Heat diffusion is assumed to be
Heat diffusion equations and initial/boundary	differential equation in the	1D. Computation is time-
conditions are replaced by a linear matrix	original space is reduced to the	consuming; therefore, defect
equation.	solving of algebraic equations in	characterization can be achieved
	the Laplace domain. Analytical	at single pixels.
	characterization are available	
Fourier transform (pulsed phase	Suppression of uneven heating	The effectiveness depends on the
thermography)	phenomena. Enhancement of the	acquisition interval and image
Pulsed TNDT which results in	visibility of deeper defects.	sequence length. Defect
producing images	•	characterization is non-trivial.
of Fourier phase (phasegrams)		
and magnitude (ampligrams)		
by performing 1D		
Fourier transform in time.	mmi	
Wavelet transform	This technique is similar to	The potential of this
wavelet	Fourier transform but allows the	explored
analysis uses a movable self adjusting spatial/temporal	time	explored.
window and enables the detection	tine.	
of both low- and high-frequency		
signal characteristics within		
different time scales [23].		
Singular value decomposition	PCA is used for extracting	Images of principle
(SVD), or principal component	both spatial and temporal	components
analysis (PCA)	features from IR	lose the physics of heat
This technique involves the	thermographic sequences of	conduction. Detect
calculation of a covariation	source data. By neglecting	characterization is
induity of input data, as well as	nossible to reduce a problem	
of this matrix Eigenvectors are	metrics for example to	
placed by order of their	exclude the influence of	
magnitude thus supplying	uneven heating or underline	
components of an analyzed	particular defects.	
statistical set.		

Polynomial fitting Fitting noisy temperature signals with polynomial functions.	A source IR image sequence of arbitrary length can be replaced with images of a few polynomial coefficients.	Images of polynomial coefficients lose the physics of heat conduction. Defect characterization is non-trivial.
<u>Thermographic signal</u> <u>reconstruction (TSR)</u> The technique involves polynomial fitting of experimental temperature evolutions and analysis of temperature derivatives [20]	Efficient discrimination between defect and non-defect areas. High image quality.	The technique is applicable to one-sided flash heating procedures for samples which can be considered as a semi-infinite bodies.
<u>Correlation</u> A correlation coefficient between time evolutions in each pixel and a chosen reference pixel is calculated [24]	This technique allows good suppression of noise by efficiently discriminating between defect and non-defect areas.	Feasibility of this technique depends on the length of the image sequence . Defect characterization is non-trivial.
Dynamic thermal tomography (DTT) Tomographic presentation of objects by analyzing time evolution of surface temperature signals in one- sided TNDT.	Suppression of emissivity/ absorptivity noise. Separation of defects by material layer.	The number of separated material layers does not exceed 3-5. A reference point is necessary (some reference-free algorithms have been proposed).
Synthetic thermal time-of-flight (STTOF) It is assumed that a defect behaves as a thin plate, while a non-defect area is considered semi-infinite. [21].	Temperature images are converted into depthgrams.	The technique is applicable to a sample which can be considered as a semi-infinite body. A reference point is necessary.
Hough transform The technique recognizes patterns (lines) in image by finding geometrical structures [25].	Hough transform discriminates between defect and non-defect areas by assuming the straight-line behavior of temperature in Log-Log coordinates. No reference point is necessary.	The technique is applicable to a sample which can be considered as a semi-infinite body.
Radon transform This technique is used to reconstruct images by taking integrals along a straight line which is defined by its slope and line offset [26].	Similarly to Hough transform, this technique discriminates between defect and non-defect areas by assuming the straight-line behavior of temperature in Log-Log coordinates. No reference point is necessary.	The technique is applicable to a sample which can be considered as a semi-infinite body.
<u>Neural networks</u> A neural network is a computer program which simulates a set of simple processors with multiple connections. Neural networks are convenient for solving multi-parametric problems.	A universal technique which takes into consideration subtle variations in signal evolution.	Each class of test objects requires special training of the network.

Data fusion	Defect detection and	Data fusion algorithms are
Combining TNDT and other NDT techniques	characterization may be more	not well-explored. Image
makes sense if: 1) TNDT serves as a	efficient due to several	preparation may be tedious
screening technique which forestalls using	physical principles involved.	because of different image
other, presumably, more reliable techniques,		formats and viewangles.
2) inspection hardware is characterized by		
mutual components, such as a heater,		
and 3) data fusion is not a simple summation		
but leads to a new quality of inspection.		



Figure 4. Preliminary and advanced data processing in TNDT (raw images: courtesy of W. Świderski)

6. CONCLUSION

This paper contains reference information on TNDT, including the historical milestones, terminology and data processing algorithms. It is hoped that it will be useful to beginning researchers in TNDT.

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