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# Mechanical properties of atomic layer deposited Al<sub>2</sub>O<sub>3</sub> thin films

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**Abstract.** <200 words single paragraph

We have measured mechanical and fracture properties of amorphous Al<sub>2</sub>O<sub>3</sub> thin films deposited by atomic layer deposition with bulge test technique using a free-standing thin film membrane. Elastic modulus was determined to be 115 GPa for a 50-nm thick film and 170 GPa for a 15-nm thick film. Residual stress was 142 MPa in the 50-nm film while it was 116 MPa in the 15-nm film. XRR density was 3.11 g/cm<sup>3</sup> for the 50-nm film and 3.28 g/cm<sup>3</sup> for the 15-nm film. Fracture strength of the 15-nm film was 4.21 GPa while the 50-nm film had only 1.72 GPa at a 100 hPa/s pressure ramp rate. Fracture strength was observed to be positively strain-rate dependent. The effective volume of a circular film in bulge test was determined from a FEM model enabling comparison of fracture strength data between different techniques.

## 1. Introduction

Designing and modelling microelectromechanical system (MEMS) devices require information about thin film material properties, as opposed to bulk material properties. Preferably, these properties are measured from test specimens that resemble the actual devices by methods that mimic the actual operating environment. Sample processing for instance may alter the material properties significantly [Chen 2000]. Scale dependency of material properties is well known and usually taken into account. Strain-rate dependent fracture strength demonstrates yet another peculiarity for the material testing: the specimen might withstand high strain-rate shocks, but rupture unexpectedly when subject to a low strain-rate.

FEM-modelling can be used to predict the mechanical behavior of a MEMS device at the design stage if the proper material properties are used. These models, however, cannot usually predict the failure of the device, which is why experimental data on the fracture properties is important.

Bulge test [Beams 1959][Vlassak 1992][Sharpe 2004][Berdova 2014][Berdova 2015] is a suitable method to measure thin film elastic properties such as elastic modulus, residual stress and fracture strength. In a bulge test, a free-standing membrane that is fixed from the edges is loaded from one side

by a fluid. This type of testing resembles the operating environment of many membrane devices like pressure sensors, microphones, x-ray windows, thermopile detectors and microhotplates.

Atomic layer deposition (ALD) has been established as the deposition method for applications, which require uniform and precise layer thicknesses. ALD films can be continuous and pin-hole free films already at one nanometer thickness. [Grigoras 2007]  $\text{Al}_2\text{O}_3$  is the most commonly applied ALD film and it is used as a model case. Still, there is room to improve in the understanding its elastic properties. Ylivaara et al. reported [Ylivaara 2014] a thorough investigation on the elastic properties of ALD  $\text{Al}_2\text{O}_3$  measuring elastic modulus, hardness and residual stress for a wide range of film thicknesses and growth temperatures, but they did not report fracture properties. We have previously studied [Berdova 2014][Berdova 2015] the elastic modulus, residual stress and fracture strength of ALD  $\text{Al}_2\text{O}_3$  measured by the bulge test and the shaft-loading technique, but have not studied scale nor strain-rate dependency of the elastic and fracture properties. We have now measured the elastic and fracture properties of free-standing ALD  $\text{Al}_2\text{O}_3$  thin films with the bulge test and observed strain-rate dependent properties.

## **2. Methods**

### *2.1. Sample fabrication*

Free-standing circular membranes of 400- $\mu\text{m}$  diameter on 7x7- $\text{mm}^2$  chips were fabricated on 100-mm double-side polished (100) silicon wafers by ALD  $\text{Al}_2\text{O}_3$  deposition, lithography, wet etching and deep reactive ion etching (DRIE).  $\text{Al}_2\text{O}_3$  was deposited simultaneously on both sides of the wafer from trimethylaluminum ( $\text{AlMe}_3$ ) and  $\text{H}_2\text{O}$  in Beneq TFS500 reactor at 300 °C. Target thicknesses were 15 and 50 nm and the number of deposition cycles 150 and 500, respectively. Thickness was measured after deposition by Plasmos SD2300 HeNe single wavelength ellipsometer and later verified by x-ray reflection (XRR). Density of the layers was determined from the XRR using a Rigaku Smartlab X-ray diffractometer. After the  $\text{Al}_2\text{O}_3$  deposition, the wafer front side was protected with a resist and a lithography on the backside determined the 400- $\mu\text{m}$  diameter holes and the 100- $\mu\text{m}$  wide dicing lines. The  $\text{Al}_2\text{O}_3$  on the backside was etched in buffered hydrofluoric acid (BHF) at a room temperature after which all resist was stripped. The sample wafer was glued to a carrier wafer using a photoresist to prevent chip detachment when the through-wafer etching was complete. The DRIE etching was done with a Bosch process in a STS ASE tool with a  $\text{SF}_6$  and  $\text{O}_2$  etching chemistry and a  $\text{C}_4\text{F}_8$  passivation chemistry using the  $\text{Al}_2\text{O}_3$  as a hard mask. The selectivity between  $\text{Al}_2\text{O}_3$  and Si has been measured to be 1:100000 in a Bosch process [Dekker 2006]. Finally, the separated chips were detached from the carrier wafer in acetone and cleaned with oxygen plasma.

### *2.2. Bulge testing*

Bulge testing was performed using two different set-ups. The first bulge test set-up had a scanning white light interferometer (SWLI) allowing measurement of the displacement as a function of the pressure. A more detailed description of the custom-built SWLI can be found in Ref. [Kassamakov 2007] and about

the bulge setup in Ref. [Berdova 2014]. This set-up was used to measure the pressure-displacement curves from which the elastic modulus and the residual stress was determined. The pressure was measured using a precision digital pressure manometer (Huber Instrumente HM35) and applied to the chip from the backside.

The samples were attached to blocks of polydimethylsiloxane (PDMS) (Sylgard 180) which had a hole punched through to apply pressure. The attachment was done by applying uncured PDMS around the edges of the membrane chip. Following this, the samples were cured in an oven at 60 °C for 30 minutes. The PDMS on top and underneath of the membrane chip ensured pressure tight clamping with the aluminum holder.

The elastic modulus,  $E$ , and the residual stress,  $\sigma_0$ , were extracted from the pressure-displacement curve by fitting an analytical expression for the pressure  $P$  as a function of the membrane deflection,  $d$ ,

$$P(d) = C_1 \frac{h\sigma_0}{a^2} d + C_2 f(\nu) \frac{E}{(1-\nu)} \frac{h}{a^4} d^3 \quad (1)$$

to the pressure-displacement curve. In the equation (1)  $h$  is the membrane thickness,  $a$  is the membrane diameter and  $\nu$  is the Poisson's ratio, which is assumed to be 0.24 for amorphous  $\text{Al}_2\text{O}_3$  [Proost 2002] [Miller 2010]. The coefficients  $C_1 = 4$ ,  $C_2 = 2.67$  and  $f(\nu) = (1.026 + 0.233\nu)^{-1}$  were determined from FEM results by Pan et al. [Pan 1990] for circular films.

The second bulge test set-up was used to measure the fracture strength. It had a computer controlled pressure regulator enabling programmed ramp rates. In the measurements, the pressure was applied from the top and a 100 hPa/s ramp rate was used until a fracture was observed. 30–35 membranes of both thicknesses were measured to reach statistically significant sample size [Borrero-Lopez 2014] [SFS-EN 843-5].

According to Beams [Beams 1959], the stress,  $\sigma$ , at the top of a bulge that is shaped as a hemispherical cap can be approximated with a relation

$$\sigma = \frac{Pa^2}{4hd} \quad (2)$$

and the strain,  $\epsilon$ , with

$$\epsilon = \frac{2d^2}{3a^2}. \quad (3)$$

The total stress can also be described with the Hooke's law relating the stress due to the stretching and the initial stress as

$$\sigma = \frac{E}{1-\nu} \epsilon + \sigma_0. \quad (4)$$

By solving the Eq. (2) for the membrane deflection  $d$ , substituting it into the Eq. (3) and finally inserting into the Eq. (4) yields a third degree polynomial

$$\sigma^3 - \sigma_0 \sigma^2 - \frac{1}{24} \frac{EP^2 a^2}{(1-\nu)h^2} = 0, \quad (5)$$

from which the total stress can be solved by finding the real root.

Similarly, an equation for the strain can be obtained by solving the Eq. (3) for the  $d$ , substituting it into the Eq. (2) and inserting into the Eq. (4). This yields

$$\frac{E^2}{(1-\nu)^2} \epsilon^3 + \frac{2\sigma_0 E}{1-\nu} \epsilon^2 + \sigma_0^2 \epsilon - \frac{1}{24} \frac{P^2 a^2}{h^2} = 0. \quad (6)$$

The residual stress terms in the Eq. (5) and the Eq. (6) become significant at small deflections or large residual stresses. A tensile residual stress gives the membrane flexural rigidity, which the thin membrane would otherwise lack.

Fracture strength,  $\sigma_f$ , is calculated from the rupture pressure,  $P_{max}$ , by using the Eq. (5). Weibull analysis is performed for the fracture strength data. The cumulative distribution function of the multimodal Weibull distribution is described by

$$F_{1,\dots,S}(\sigma_f) = 1 - \sum_{i=1}^S p_i e^{-\left(\frac{\sigma_f}{\sigma_{\theta i}}\right)^{m_i}}, \quad (7)$$

where  $p_i$  is the portion of components in a subpopulation  $i$  (for unimodal distribution ( $S = 1$ ),  $p_1 = 1$ ),  $m$  is a shape parameter known as the Weibull modulus and  $\sigma_{\theta}$  characteristic strength corresponding to the stress level with a 63.2 % probability of failure. The characteristic strength is related to the Weibull material scale parameter  $\sigma_0$ , which has units  $\text{GPa} \cdot (\text{m}^3)^{1/m_V}$ , by the expression

$$\sigma_{\theta} = \sigma_0 V_{eff}^{-1/m_V}. \quad (8)$$

$V_{eff}$  is the effective volume, which for a uniaxial tension equals the sample volume  $V$  and for other loading configurations is less than  $V$ . The  $V_{eff}$  can be calculated from

$$V_{eff} = \int_V \left(\frac{\sigma}{\sigma_{max}}\right)^{m_V} dV. \quad (9)$$

Either a unimodal ( $S = 1$ ) or a bimodal ( $S = 2$ ) Weibull distribution is used to extract the performance data. The bimodal distribution reduces from 6- to 5-parameter distribution from the fact that  $p_2 = 1 - p_1$ . The bimodal Weibull distribution takes into account two separate subpopulations of defects resulting in the failure. The existence of two or more different subpopulations is evident if the fracture strength data in the Weibull plot does not fall into a straight line. Distribution fitting is performed in the Matlab<sup>®</sup> using the maximum likelihood estimate (MLE) method.

Mean  $\sigma_M$  of the Weibull distribution is given by

$$\sigma_M = \sigma_\theta \left[ \Gamma \left( 1 + \frac{1}{m} \right) \right], \quad (10)$$

where  $\Gamma(x)$  is the gamma function. Standard deviation is given by

$$s = \sqrt{\sigma_\theta^2 \left[ \Gamma \left( 1 + \frac{2}{m} \right) - \left( \Gamma \left( 1 + \frac{1}{m} \right) \right)^2 \right]}. \quad (11)$$

### 2.3. Modeling

Free-standing ALD membranes were modeled with the finite element method (FEM) using a Comsol Multiphysics software. We used a structural mechanical model with an axisymmetric geometry and a stationary solver. Circular 450- $\mu\text{m}$  diameter  $\text{Al}_2\text{O}_3$  membranes were modelled with a 50, 48.1 and 14.8 nm thickness. The membrane diameter and the two latter thicknesses were chosen to differ from the original design dimensions as to better represent the measured dimensions on the chips. In the model, silicon (Si) chip has also a circular shape because of the axisymmetric geometry. A three-dimensional model with a real square shape silicon chip is also possible, but axisymmetric geometry has a denser calculation mesh, which produces results that are more accurate. The chip size is significantly larger than the membrane size so the chip can be approximated as circular. The calculation mesh for the 50-nm thick film used for effective volume calculations consisted of 500000 square 5x5-nm elements. The 48.1-nm and the 14.8-nm membranes calculation mesh contained 20000 and 50000 elements, respectively. The FEM model used  $\text{Al}_2\text{O}_3$  density of 3100  $\text{kg/m}^3$  for 50-nm thick membrane and densities measured with XRR for 48.1-nm thick film and 14.8-nm thick membrane. The elastic modulus and the residual stress for 48.1-nm and 14.8-nm thick  $\text{Al}_2\text{O}_3$  were calculated from experimental results. For the 50-nm thick film, elastic modulus of 112 GPa and residual stress of 127 MPa were used. The material parameters of the Si part were from the Comsol's material library for an isotropic single crystal Si: density 2329  $\text{kg/m}^3$ , elastic modulus 170 GPa and Poisson's ratio 0.28. The stress and deflection were modeled in a pressure range from 50–1500 hPa.

## 3. Results

### 3.1. Sample fabrication

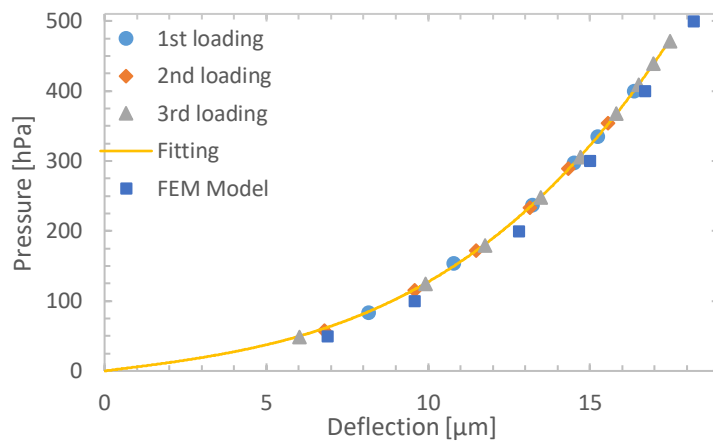
Thickness and density of the  $\text{Al}_2\text{O}_3$  film was measured by XRR. The thickness was  $48.1 \pm 1$  nm for 500 cycles and  $14.8 \pm 1$  nm for 150 cycles. The density was  $3.11 \pm 0.1$   $\text{g/cm}^3$  for 48.1-nm thick film and  $3.28 \pm 0.1$   $\text{g/cm}^3$  14.8-nm thick film. Uniformity was better than  $\pm 1$  nm as determined by ellipsometer from five points across the wafer.

Diameter of the window opening (nominally 400  $\mu\text{m}$ ) was defined by the through-wafer etching. The actual diameter of each membrane was measured individually from optical microscope images and the resulting values were used in the calculations. The diameters varied from 438–508  $\mu\text{m}$  for 48.1-nm thick membranes and 428–460  $\mu\text{m}$  for 14.8-nm membranes. The reason for the widening of the hole

from the diameter defined by the lithography and the spread in the diameters are due to a combination of negative tapering of the side walls, non-uniformity in the etch rate and notching effect [Lärmer 2015].

### 3.2. Elastic modulus and residual stress

In order to determine the elastic modulus and the residual stress, the deflection was measured with a SWLI as a function of the applied pressure. The whole membrane area was scanned and the silicon surface was kept as the reference surface for the deflection. This eliminates the possible bulging of the sample holder. The measurement was performed with discrete pressure steps because each SWLI scan took a few minutes. Before each scan, the pressure and the deflection were allowed to stabilize. Figure 1 shows the pressure-deflection behavior of a 48.1-nm thick  $\text{Al}_2\text{O}_3$  membrane measured three times. In the first and the second run, the pressure was released prior to the film rupture. The overlapping pressure deflection data for the subsequent measurements demonstrate that the deformation is fully elastic. This also means that no delamination of the film occurred. The film was driven to rupture on the third loading. For the 48.1-nm thick membranes the rupture occurred in a 470–570 hPa range whereas for 14.8-nm thick membranes in a 190–390 hPa range.



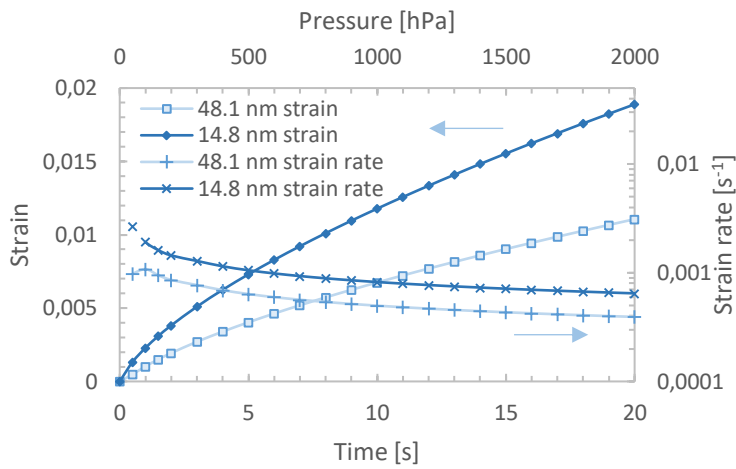
**Figure 1.** Pressure-deflection behavior on three successive loadings of 48.1-nm thick 450- $\mu\text{m}$  diameter  $\text{Al}_2\text{O}_3$  membrane. Fitting of the Eq. (1) yielded values of 115 GPa for  $E$  and 151 MPa for  $\sigma_0$ . The results from a FEM model using the extracted values is shown for comparison.

Fitting of the Eq. (1) into the pressure-deflection data (shown for a single sample in Figure 1) yielded average value of  $115 \pm 3$  GPa for  $E$  and  $142 \pm 22$  MPa for  $\sigma_0$  for the 48.1-nm thick  $\text{Al}_2\text{O}_3$  films. For the 14.8-nm thick  $\text{Al}_2\text{O}_3$  films average value of  $177 \pm 5$  GPa for  $E$  and  $116 \pm 20$  MPa for  $\sigma_0$  were obtained. It seems that the elastic modulus increases as the thickness decreases, while the residual stress remains unchanged.

### 3.3. Fracture strength

With a constant pressure ramp rate, the strain rate is not constant. Instead, the strain rate decreases non-linearly as shown in Figure 2. The strain rate is calculated by differentiating strain calculated with Eq.

(6) for time for a 100 hPa/s ramp rate. The strain rate is on the order of  $10^{-3}$  to  $10^{-4}$  s $^{-1}$ , which is typical for tensile tests [Davis 2004].

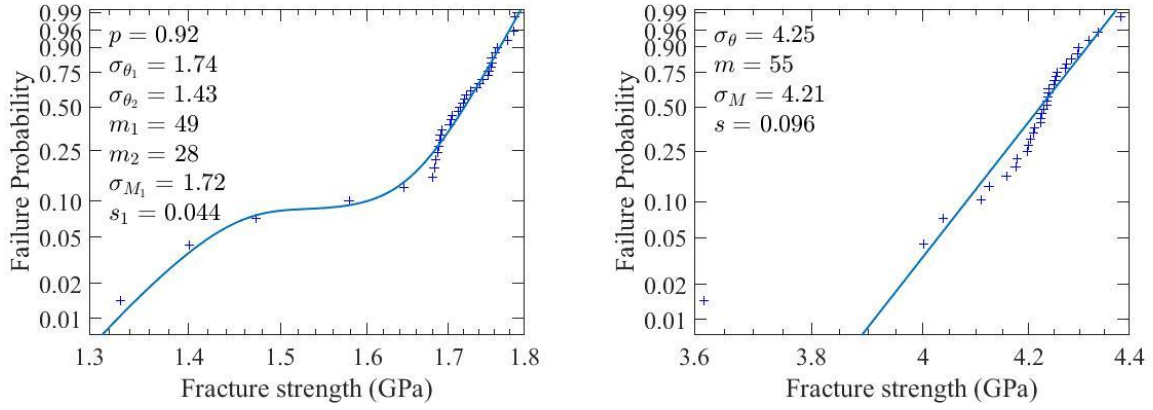


**Figure 2.** The strain and the strain rate at a 100 hPa/s ramp rate for a 450- $\mu$ m diameter membrane.

The average rupture pressure was  $1750 \pm 190$  hPa for the 48.1-nm thick membranes and  $1810 \pm 90$  hPa for the 14.8-nm thick membranes at a 100 hPa/s pressure ramp rate. These are significantly higher values than what we observed for the samples in the discrete ramp test (470–570 hPa and 190–390 hPa for 48.1-nm and 14.8-nm thick membranes respectively). It seems also that at a higher pressure ramp rate, the thinner membranes are relatively more pressure tolerant than the thicker membranes, which is the opposite to what was observed when measuring the pressure-deflection curves at discrete steps.

Fracture strength was calculated from the rupture pressure according to the Eq. (5) and fitted into the Weibull distribution in the Eq. (7). Figure 3 shows the Weibull probability plots for the 48.1-nm thick and the 14.8-nm thick  $\text{Al}_2\text{O}_3$  membranes. The 48.1-nm thick membranes had a clear shoulder on the Weibull probability plot indicating that a bimodal Weibull distribution would better describe the data set. Bimodality in the fracture strength indicates that a single population of defects is not responsible for all the failures [Borrero-Lopez 2014] [SFS-EN 843-5]. Here the subpopulation with a lower fracture strength is thought to consist of surface defects originating from the fabrication process. The 14.8-nm thick membranes had only one outlier and a unimodal Weibull distribution described it the best. The mean and the standard deviation were calculated from the Eq. (10) and the Eq. (11) respectively. The mean fracture strength for 48.1-nm thick  $\text{Al}_2\text{O}_3$  membranes was  $1.72 \pm 0.04$  GPa and for 14.8-nm thick membranes  $4.21 \pm 0.10$  GPa.



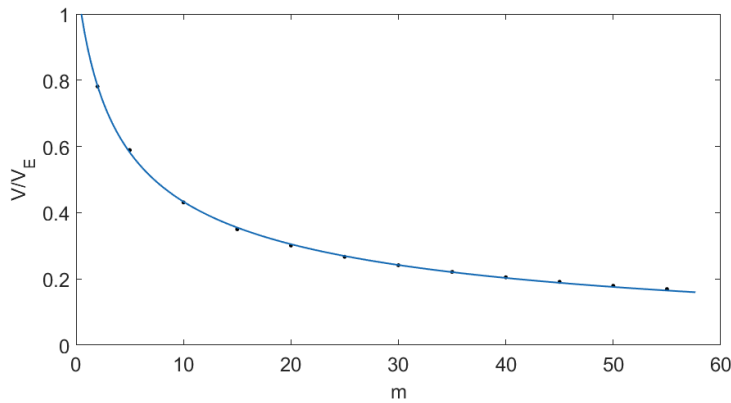


**Figure 3.** Weibull probability plots for the 48.1-nm (left) and 14.8-nm thick (right)  $\text{Al}_2\text{O}_3$  membranes. The Weibull probability function was fitted with two subpopulations on the left and with a single subpopulation on the right.

The effective volume of a bulge test was calculated according to the Eq. (9) from the stress field obtained from a FEM model. When calculating the effective volume, the stress maximum was assumed to occur at the center of the membrane. The stress field was cut off  $1 \mu\text{m}$  before Si edge to remove stress artefacts from the film/silicon interface (see section 3.4. for more details). The effective volume varies only as a function of the Weibull modulus for a given loading geometry. Figure 4 shows the ratio  $V_{eff}/V$  as a function of Weibull modulus  $m$ . The fitting follows Eq. (12)

$$\frac{V}{V_{eff}} = \frac{15}{\sqrt{m^2 + 92m + 179}} \quad (12)$$

from which it is possible to calculate the effective volume in a bulge test at any value of  $m$  for a circular membrane.

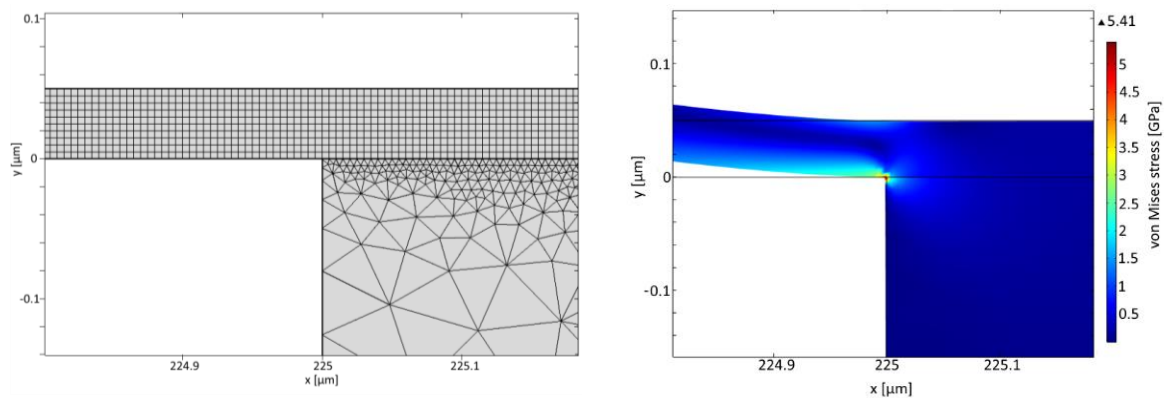


**Figure 4.** The ratio of the effective volume to the volume as a function of the Weibull modulus for the bulge test.

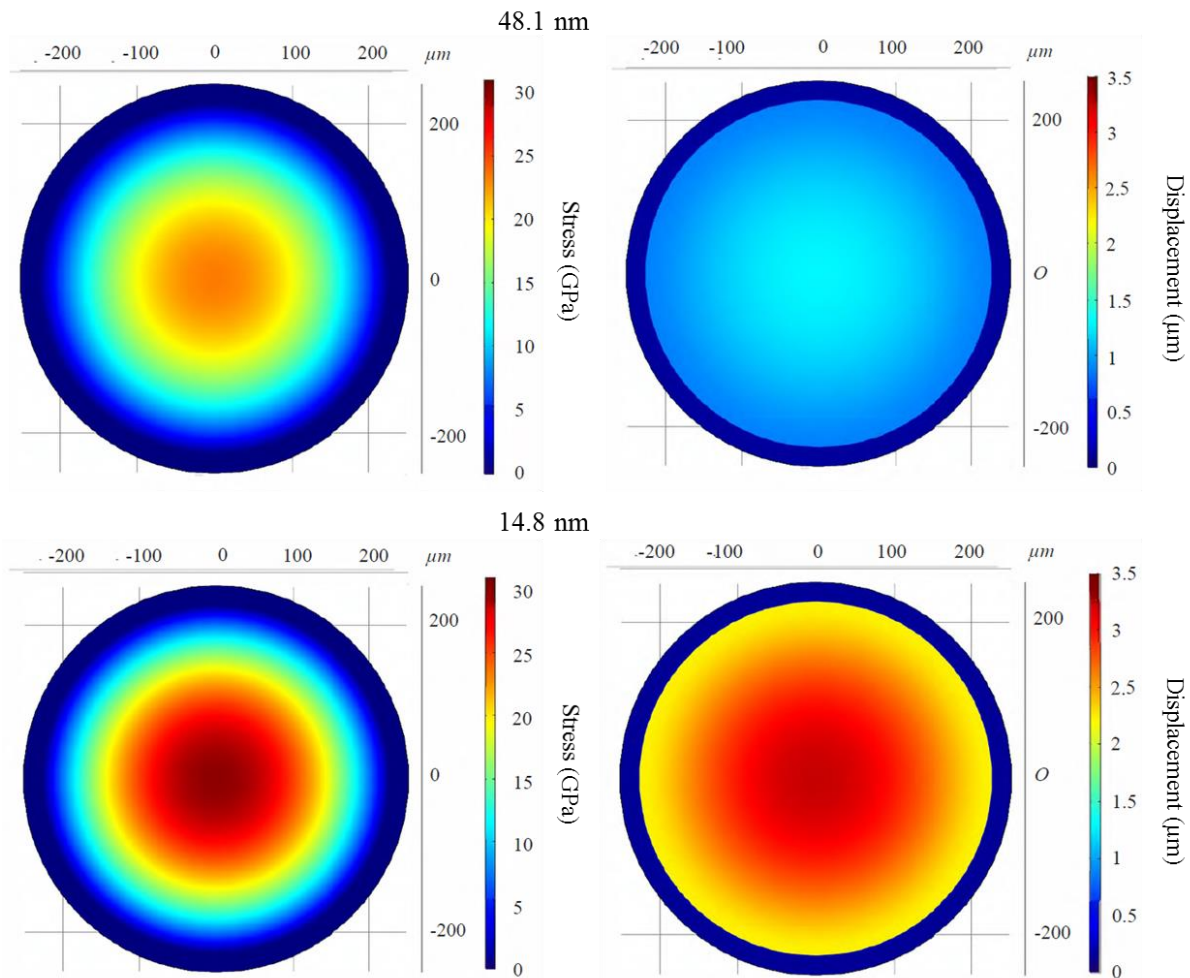
From the effective volume, the Weibull modulus and the characteristic strength, extraction of the Weibull material scale parameter  $\sigma_0$  is possible according to the Eq. (8). For the 48.1-nm thick films  $\sigma_{01}$  is  $0.87 \text{ GPa}\cdot(\text{m}^3)^{(1/49)}$  and for the 14.8-nm thick films  $2.23 \text{ GPa}\cdot(\text{m}^3)^{(1/55)}$ .

### 3.4. Modeling

The highest stress values were calculated to locate at the edge of the free-standing membrane, where the bulk silicon is removed by the DRIE etching. In Figure 5, a 50-nm membrane with a 225- $\mu\text{m}$  radius is loaded by 500-hPa differential pressure. The maximum stress value is 5.17 GPa at the edge of the film and 5.41 GPa on the silicon, whereas in the middle of the membrane the stress value was only 0.79 GPa at the same pressure level. The stress maximum at the edge is likely an artefact from the edge constraints in the model and is strongly dependent on the mesh size. A finer mesh, as seen in Figure 5, pinpoints the stress maximum to the interface between the Si and the  $\text{Al}_2\text{O}_3$  film. A general assumption is that the stress maximum of the film occurs in the middle of the membrane and that the fracture occurs there. The ultimate tensile strength was calculated by us as the maximum tensile stress at the center of the membrane at the pressure when the film ruptured. The stress and the deflection of the 48.1-nm and 14.8-nm thick membrane at a 1000-hPa differential pressure are shown in Figure 6.



**Figure 5.** The calculation mesh used in the FEM model (left) and the stress at the edge of a circular membrane loaded with a 500-hPa differential pressure.



**Figure 6.** The stress and the deflection of a 48.1-nm and a 14.8-nm thick membrane at a 1000-hPa pressure differential over the membrane.

#### 4. Discussion

The mechanical properties of the  $\text{Al}_2\text{O}_3$  membranes that we measured are comparable to what has been previously measured [Ylivaara 2014], [Berdova 2014], [Berdova 2015], [Wang 2012]. The elastic modulus of our 48.1-nm thick film is low, but there is a noticeable increase in the elastic modulus for the thinner film. The thinner film's elastic modulus is slightly higher (177 GPa vs. 165–175 GPa) than what was measured with nanoindentation or LSAW by Ylivaara et al. [2014] for films grown at 300 °C. Ylivaara et al. [2014] did not notice an increase in elastic modulus with a decreasing film thickness.

The growth per cycle in Ylivaara et al. [2014] at 300 °C was similar to ours (0.09–0.11 vs. 0.10 nm). The density of the thicker film is similar to Ylivaara et al. [2014] results ( $3.11 \text{ g/cm}^3$ ), but our thinner film appears more dense ( $3.28 \text{ g/cm}^3$ ). This might also explain the difference in elastic modulus and fracture strength between the films. However, it is not known why the thinner film is denser.

The residual stress of our films was slightly lower (120–140 MPa vs. ~200 MPa) than what Ylivaara et al. [2014] observed for films deposited at 300 °C. However, Ylivaara et al. calculated the film stress

from the wafer curvature, which describes approximately the average stress over the wafer whereas the bulge test is a more localized method. In addition, when the film is released some stress relaxation might occur. The difference between the residual stress values for our 14.8-nm and 48.1-nm thick films is within the error margins and there appears to be no thickness dependence on the residual stress, which is in accordance to previous studies. [Ylivaara 2014]

The mean fracture strength for the 48.1-nm thick membranes were lower than reported previously by Berdova et al. [2015] for 75-nm thick membranes (1.5 GPa vs. 3.1 GPa), even though smaller volumes should result in a higher fracture strength. Both of the films were deposited at 300 °C and measured with the same pressure ramp rate. However, Berdova's films had a higher elastic modulus than our 48.1-nm thick film. If we calculate the mean fracture strength for a 75-nm thick and 400- $\mu$ m diameter membrane using the Eq. (8) and the material parameters obtained for our 14.8-nm thick film, we reach an expected mean fracture strength of 4.1 GPa. This value is higher than Berdova et al. [2015] obtained and not much different from the fracture strength of our 14.8-nm film because of the very high Weibull modulus measured for our films. Weibull moduli that we have measured for both 48.1-nm and 14.8-nm thick films (49 and 55) are much higher than what Berdova et al. [2015] measured for their films (15).

The pressure tolerance and the increase of the fracture strength for the thinner membranes are noticeable. The 14.8-nm thick membranes withstood similar pressures as the 48.1-nm thick membranes when the pressure ramp rate was 100 mbar/s leading to the very high fracture strength values. However, when the pressure ramp was performed incrementally the pressure tolerance decreased. In our pressure-deflection data, a single measurement took tens of minutes as the pressure was increased incrementally and a SWLI scan was performed only when the deflection and the pressure had stabilized. This led to a film rupture already below 600 hPa for the 48.1-nm thick membranes and below 400 hPa for the 14.8-nm thick membranes. Positive dependency of fracture strength on the strain rate has been reported in literature for amorphous silica glass in molecular dynamics models [Yuan 2012] [Chowdhury 2016] and experimentally [Proctor 1966] [Luo 2016]. The huge difference in the fracture strength that we have observed is significant and affects the applicability of the aluminum oxide films in MEMS devices.

## **5. Conclusions**

Bulge test is a valid method to determine the mechanical and the fracture properties for free-standing thin films. The ratio of effective volume to volume was determined for circular films in the bulge test as a function of Weibull modulus, which enables deduction of the Weibull material scale parameter and comparison of the fracture strength data to data measured with other methods.

Further research is required to understand the origin of fracture. Such a test could be made for example by using a high-speed camera to monitor the film deflection and breakage. The FEM-model pinpoints the maximum stress to the film/substrate interface, which constitute below 0.1 % of the membrane volume. If this stress is true and the film fracture initiates from the boundary, all the fracture strength

measurements done so far are invalid as the film rupture and the maximum stress have been assumed to locate at the center of the film.

The fracture strength of amorphous  $\text{Al}_2\text{O}_3$  thin films is observed to be positively strain-rate dependent. However, further experiments are required to understand the extent of the strain-rate dependency and the mechanism for strain-rate sensitivity.

The applicability of amorphous  $\text{Al}_2\text{O}_3$  films in MEMS devices is still limited by the lack of understanding in the elastic and the fracture properties. Deeper understanding is required in order to design reliable devices.

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