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THESIS

Christopher Giacomo, Lieutenant, USAF

AFIT/GSE/ENV/12-M04

DEPARTMENT OF THE AIR FORCE AIR UNIVERSITY

AIR FORCE INSTITUTE OF TECHNOLOGY

Wright-Patterson Air Force Base, Ohio

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THESIS

Presented to the Faculty

Departments of Systems Engineering, Aeronautics and Astronautics

Graduate School of Engineering and Management

Air Force Institute of Technology

Air University

Air Education and Training Command

In Partial Fulfillment of the Requirements for the

Degree of Master of Science in Aeronautical Engineering

Christopher Giacomo, BS

Lieutenant, USAF

March 2012

DISTRIBUTION STATEMENT A.
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Abstract

This thesis describes the modeling and verification process for the stability and control analysis of the Condor hybrid-electric Remote-Piloted Aircraft (HE-RPA). Due to the high-aspect ratio, sailplane-like geometry of the aircraft, both longitudinal and lateral/directional aerodynamic moments and effects are investigated. The aircraft is modeled using both digital DATCOM as well as the JET5 Excel-based design tool. Static model data is used to create a detailed assessment of predictive flight characteristics and PID autopilot gains that are verified with autonomous flight test. PID gain values were determined using a six degree of freedom linear simulation with the Matlab/SIMULINK software. Flight testing revealed an over-prediction of the short period poles natural frequency, and a prediction to within 0.5% error of the long-period pole frequency. Flight test results show the tuned model PID gains produced a 21.7% and 44.1% reduction in the altitude and roll angle error, respectively. This research effort was successful in providing an analytic and simulation model for the hybrid-electric RPA, supporting first-ever flight test of parallel hybrid-electric propulsion system on a small RPA.

Acknowledgments

I would like to express my sincere appreciation to my faculty advisor, Dr. David Jacques, for the continuous support, guidance, and patience he provided that enabled my success in this endeavor. I would like to also thank Dr. Bradley Liebst for continuously dropping everything on his plate to help troubleshoot flawed parameters and providing invaluable mentorship. The Condor project would not have been possible without the extensive work of the other team members, Captain Michael Molesworth, Captain Jacob English, and Lieutenant Joseph Ausserer. They were responsible for every aspect of acquiring, building, and enabling the flight of the aircraft. The contractors at CESI, John McNees, Don Smith, and Rick Patton, who flight readied and flew the aircraft, and will probably forget more about S-RPAs than most of us will ever learn. I must thank my AFIT student family, who provide immeasurable support in the worst and best of times. Finally, to my wife, who keeps my head up, my wings level, and always reminds me to come back down to earth.

Christopher Giacomo

Table of Contents

			Page
Ab	stract		iv
Ac	knowledgm	nents	V
Ta	ble of Conto	ents	vi
Lis	st of Figures	S	viii
Lis	st of Tables		xi
1	Introducti	ion	1
	1.1 Prol	blem Statement	2
	1.2 Sco	pe and Assumptions	3
		earch Objectives	
	1.4 Out	line	4
2	Backgrou	nd	5
_		pter Overview	
		rature Review	
	2.2.1	Procerus Kestrel© Development	
	2.2.2	USAFA JET5 Design Tool	
	2.2.3	SIG Rascal Program	
	2.2.4	AFIT OWL	
	2.2.5	Naval Postgraduate School SUAS Modeling	9
	2.2.6	Nelson Text	
	2.3 Airc	eraft Description	
	2.3.1	Missions	
	2.3.2	Design	11
	2.4 Def	initions and Convention	13
	2.4.1	Body Axis Convention	
	2.4.2	Wind Axes and Euler Angles	
	2.4.3	Moments and Accelerations	14
	2.5 Airt	frame Stability	16
	2.5.1	Static Stability Analysis	
	2.5.1	Dynamic Aircraft Stability Modes	
	2.5.2	State-Space Representation	
	2.6 Kes	trel Autopilot Tuning	
	2.6.1	Longitudinal Control	
	2.6.2	Lateral/Directional Control	22
	2.7 Flig	ht Test Organization	
	2.7.1	Flight Test Objectives	
	2.7.2	Test Range Requirements	
	2.8 Cha	pter Conclusion	24

3	Methodol	ogy	25
	3.1 Cha	pter Overview	25
	3.2 Airc	craft Static Modeling	26
	3.2.1	The CLMax Xplane Model	26
	3.2.2	USAF Open Digital DATCOM	27
	3.2.3	USAFA Jet5 Aircraft Design Tool	30
	3.3 Moi	ment of Inertia Analysis	38
	3.3.1	CLMax Xplane Analysis	
	3.3.2	Space Electronics MOI Calculation	39
	3.3.3	Comparative Analysis	41
	3.4 Airc	craft Model Development and Simulation	42
	3.4.1	Longitudinal Model	42
	3.4.2	Lateral/Directional Model	53
	3.5 Flig	ht Test	60
	3.5.1	Planned Testing Process	60
	3.5.2	AC1 Process Changes	61
	3.5.3	AC2 Process Changes	
	3.6 Data	a Reduction and Model Refinement	
	3.6.1	Longitudinal Modal Analysis	
	3.6.2	Operating Airspeed Analysis	
	3.6.3	Lateral Stability Evaluation	
	3.6.4	In-Flight Gain Tuning	
	3.7 Airc	craft Performance	
		pter Conclusion	
4	Regults		70
_		pter Overview	
		Tuning Results	
		ulated Model Performance	
		en-Loop Characterization and Model Adaptation	
	4.4.1	Throttle Changes between AC1 and AC2	
		pter Conclusion	
	4.5 CHa	pter conclusion	13
5	Conclusio	ons and Recommendations	76
		pter Overview	
		luation of Methodology	
		nificance of Research	
		ommendations for Future Research	
		nmary	
Αn	pendix A	Kestrel Telemetry Parser	% 1
		ERAU 3-d DATCOM Viewer Matlab Code	
-		Condor Flight Test Cards	
· •P	Policia C	Condot I fight 1 vot Cardo	
Ril	nliography		145

List of Figures

	Page
Figure 1: Kestrel Throttle Control (Christiansen, 2004)	6
Figure 2: Kestrel Longitudinal Control (Christiansen, 2004)	6
Figure 3: Kestrel Lateral Control (Christiansen, 2004)	6
Figure 4: SIG Rascal 110 (Farrell, 2009)	8
Figure 5: AFIT OWL (Stryker, 2010)	9
Figure 6: Condor S-RPA in AC1 Configuration.	12
Figure 7: Body-Fixed Reference Frame	13
Figure 8: Static and Dynamic Stability (Nelson, 2008 p.39)	16
Figure 9: USAFA/Brandt Jet5 Aircraft Modeling Program	17
Figure 10: Kestrel Level 1 and 2 Feedback Loops	21
Figure 11: Camp Atterbury Flight Test Range	24
Figure 12: OpenAE DATCOM Screenshot	28
Figure 13: Digital DATCOM Stability Output	29
Figure 14: Embry-Riddle 3-D View of Condor AC1 DATCOM Model	29
Figure 15: Jet5 Design of 12 Foot Span AC1 Configuration.	31
Figure 16: Condor Geometric Data for Wings and Control Surfaces	32
Figure 17: Jet5 "Weight" Tab for 12-Foot AC1 Configuration	33
Figure 18: Jet5 AC1 Engine Model	34
Figure 19: Jet Condor Stability Data	35
Figure 20: Jet5 Stability for 12 Foot Condor	36
Figure 21: Jet5 Stability for 15 Foot Condor	36

Figure 22: Jet5 Corrected Stability for 12 Foot Condor	37
Figure 23: Jet5 Corrected Stability for 15 Foot Condor	37
Figure 24: Condor 12 Foot Wingspan Drag Polar	38
Figure 25: MOI Device Aircraft Mount	40
Figure 26 Condor AC1 MOI Calculations	41
Figure 27: Condor Open Loop Longitudinal Root Locus	45
Figure 28 Kestrel Longitudinal Control.	46
Figure 29: Condor Longitudinal Simulink® Model	48
Figure 30: Pitch Rate Closed Loop Root Locus	49
Figure 31: Pitch Rate Response to Elevator Step Input	50
Figure 32: Short Period Pitch Rate Response to Elevator Step Input	51
Figure 33: Simulink® Compensator Editor	52
Figure 34: 100 Foot Altitude Command Step Response	52
Figure 35: Condor 12-foot Wingspan Lateral Root Locus	55
Figure 36: Stevens Wing-Leveler Control system (Stevens 2003)	56
Figure 37: Condor Lateral/Directional Simulink® Model	57
Figure 38: 15-Degree Roll Input Roll Response	58
Figure 39: 15 Degree Roll Input Sideslip Angle Response	59
Figure 40: AC1 In-Flight Photograph	61
Figure 41: Condor Phugoid Response	63
Figure 42: Condor Short Period Response.	65
Figure 43: Condor Stall Test Airspeed Data	66
Figure 44: Condor Dutch-Roll Results	67

Figure 45: Model Error Analysis

List of Tables

	Page
Table 1: Aircraft Configuration	12
Table 2: Euler Angle Definitions (Gardner, 2001)	14
Table 3: Aircraft Longitudinal Definitions (Nelson, 1998 p.123)	15
Table 4: Aircraft Lateral/Directional Derivatives	15
Table 5: Condor Predicted Airspeeds	38
Table 6: Collective Small RPA MOI Data	42
Table 7: Longitudinal Stability Derivatives	44
Table 8: Lateral/Directional Stability Derivatives	54
Table 9: Condor AC1 Airspeeds	67
Table 10: SIG Rascal PID Gains	70
Table 11: Condor AC1 Final PID Gains	71
Table 12: PID Gain Model Error Comparison.	72

1 Introduction

The effective use of Remote Piloted Aircraft (RPAs) for reconnaissance and surveillance requires a combination of good flight performance and low-observable capabilities. Of particular interest for the low-flying RPA is the necessary compromise between these characteristics necessitated by system design with conventional propulsion systems. The purpose of the Condor RPA is to develop a hybrid-electric proof of concept that mates the range and speed capabilities of a traditional Internal Combustion Engine (ICE) with the low-acoustic capabilities of an electric motor.

The Condor program consists of two aircraft, one with a conventional ICE, and the second with the full hybrid-electric engine. Each aircraft has a 12-foot wingspan, with wingtip extensions available to increase span to 15 feet for increased loiter performance. The fuselage and empennage sections are composed of composite fiberglass, with an aluminum-reinforced polystyrene main wing. The aircraft is in a high wing, conventional tail configuration, with tricycle landing gear.

To effectively test the mission-capable potential of the CONDOR Hybrid-Electric Remote Piloted Aircraft (HE-RPA), the airframes will utilize a Procerus Technologies KestrelTM autopilot system, enabling the aircraft to climb, cruise, and loiter without pilot

interaction. For the Kestrel to effectively control the Condor aircraft, the aircraft must be effectively modeled, and proper gains input into the Kestrel autopilot system.

The execution of this thesis was performed in cooperation with Ausserer, Engligh, and Molesworth, as part of the systems engineering proof of concept for an HE-RPA system (Ausserer, 2012; English and Molesworth, 2012). The completion of flight tests of the Condor AC2 aircraft would demonstrate the first successful flight of a parallel hybrid-electric configuration RPA. The Ausserer thesis encompasses the integration of commercial-off-the-shelf (COTS) components that make up the propulsive system (Ausserer, 2012). The project management and aircraft development process was executed by English and Molesworth, and also includes the aircraft evaluation for long-loiter, quiet operations (English and Molesworth, 2012).

1.1 Problem Statement

This research intends to model the Six Degree of Freedom (6-DOF) aircraft Equations of Motion (EOM) for the Condor aircraft, and effectively set the Kestrel autopilot gains based on the predicted EOMs. With a successful programming of the Kestrel autopilot, the Condor aircraft should be able to climb, cruise, and loiter over a designated target without pilot interaction. The aircraft must maintain the determined altitude, as well as demonstrate Level 1 handling qualities, as determined by the MIL-STD-1797A. Successful completion of this tuning process, in conjunction with the research and development by the other Condor team members, will enable the first ever flight of a parallel HE-RPA.

1.2 Scope and Assumptions

Due to the high aspect ratio of the Condor aircraft, it is necessary to investigate both the longitudinal and lateral-directional stability modes of the aircraft. For this reason, computational analysis will be compared to in-flight data for modal instability. All analysis assumes a steady, level flight condition, with no changes in pitch, roll, or throttle command. The aircraft modes of primary concern are the short period, Dutch roll, and spiral modes, as these are the most likely to cause significant flight performance problems. Flight test results will be used to further refine the Kestrel autopilot gains, in order to improve the aircraft handling qualities.

1.3 Research Objectives

The objectives of this research are two-fold. The first objective is to develop an accurate aircraft model and simulation. This model will be used to evaluate the predicted open-loop performance of the aircraft in both the longitudinal and lateral-directional dynamics. The predicted analysis for the base aircraft drives the determination of autopilot gains for the Kestrel system. Once the primary gains have been selected, the second objective of the research is to compare the in-flight data with predicted values for further tuning. This comparison will enable the fine-tuning of the aircraft gains to better predict future models as well as improve mission command and control of the Condor aircraft.

1.4 Outline

This thesis consists of background information, analytical processes, analysis and flight test results, and finally conclusions and recommendations. The background information section consists of a literature review of relevant research as well as an overview of mathematical and aeronautical principles and techniques that will be utilized in the development of the autopilot gain determination. The analytical process section discusses the determination of the 6-DOF aircraft model, as well as the process of setting PID gains by consecutive loop closures. The results section lays out the findings of the iterative process of gain determination throughout the flight testing. Finally, the conclusion section will analyze the results and discuss ramifications and future recommendations for continued study.

2 Background

2.1 Chapter Overview

The military demand for Small Remote-Piloted Aircraft (S-RPA) reconnaissance platforms has created a wealth of knowledge in the fields of modeling, stability and control. This section details the most important research, methods, models, and concepts for development of the Condor model.

2.2 Literature Review

Of the vast expanse of current RPA research, a surprisingly small niche can be directly related to the Condor, due to its glider-like configuration and wing loading. The theses most integral to the development of the Condor model are discussed below.

2.2.1 Procerus Kestrel© Development

The most significant factor in modeling the Condor aircraft is the integration with the Kestrel[®] autopilot system. The prototype Kestrel autopilot system was developed in 2004 by Reed Christiansen at Brigham Young University (Christiansen 2004). In this model, he utilizes Proportional-Integral-Derivative (PID) gain loops for the aircraft feedback in both the longitudinal and lateral modes (Stryker 2010). These simple loops were expanded upon by the addition of feed-forward parameters and additional control logic to allow for multiple tail configurations, as well as the fine-tuning capability for a wide range of small RPAs (Christiansen 2004). The Kestrel[®] throttle, longitudinal and lateral control designs can be seen below in Figure 1, Figure 2 and Figure 3.

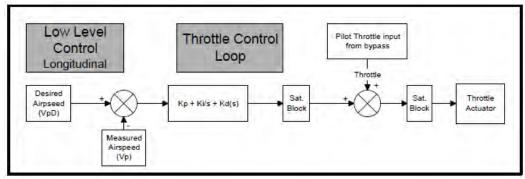


Figure 1: Kestrel Throttle Control (Christiansen, 2004)

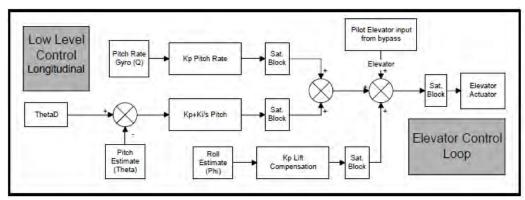


Figure 2: Kestrel Longitudinal Control (Christiansen, 2004)

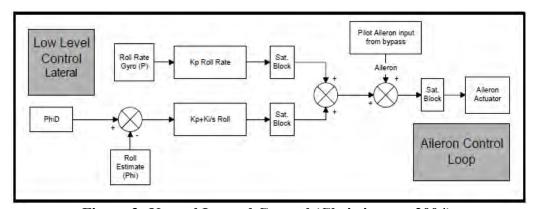


Figure 3: Kestrel Lateral Control (Christiansen, 2004)

2.2.2 USAFA JET5 Design Tool

The *ElectricJet Designer v5.55* aircraft design tool was created by Dr. Steven Brandt at the United States Air Force Academy, for use in prototype aircraft design (Brandt 2011). Although originally written in other programming languages, this now excel-based program is able to rapidly model and predict basic aircraft static and dynamic stability, as well as aircraft performance, drag polars, mission analysis, and weight calculations. The current iteration of the model used for this analysis has been adapted from the Jet Designer v5, focused on full-scale turbine-powered aircraft to predict flight characteristics for small, electric RPAs. Future references to the ElectricJet Designer will more simply refer it to Jet5. Use of the Jet5 software enables the user to input basic geometric, aerodynamic and propulsive data for an airframe, and receive back critical stability, performance, and weight calculations (Brandt, 2011). The use of Jet5 drastically reduces the time required to effectively predict the basic static and dynamic characteristics of S-RPA. The Results from the Condor Jet5 analysis proved far more accurate, and much simpler to work with than the Air Force standard program Digital DATCOM. The Jet5 Modeling tool references the McRuer (1973), Roskam (1979), Yechout (2003), and Brandt (2004) text as the basis for calculations.

2.2.3 SIG Rascal Program

The SIG Rascal was fully characterized by Captain Nidal Jodeh, USAF in his 2006 AFIT Thesis (Jodeh, 2006). The Jodeh research demonstrated effective determination of S-RPA Moment of Inertia (MOI) data by measurement of the period of oscillation when hung like a pendulum (Jodeh, 2006). The overall characterization of the

SIG platform was determined for use with the Piccolo[®] autopilot, but were transposed for use with the Kestrel[®] by S. Farrell in 2009 (Farrell 2009). The SIG Rascal is the closest comparative model available for demonstrating approximate flight characteristics of the Condor aircraft, and thus the tuned SIG gains developed by Jodeh, and Farrell, were adopted as the baseline gains for the Condor PID until the predictive gains could be proven (Farrell 2009; Jodeh, 2006).



Figure 4: SIG Rascal 110 (Farrell, 2009)

2.2.4 AFIT OWL

Captain Andrew J Stryker, USAF, characterized the AFIT OWL MAV as part of his Master's thesis at the Air Force Institute of Technology (Stryker, 2010). Stryker's research provided a comprehensive explanation of the methods and difficulties associated with tuning the Kestrel[®] autopilot to a new airframe. From Stryker's recommendations, the determination was made to fully model the Condor aircraft prior to flight, rather than attempting in-flight PID tuning via the Zeigler-Nichols method (Stryker 2010). The Stryker AFIT OWL model was derived primarily from Jacques' A-4 Skyraider model, in

conjunction with the McRuer and Nelson texts. (Jacques, 1995; McRuer, 1973; Nelson, 1998). The Jacques and Stryker models are both limited only to the longitudinal motion of the aircraft, due to the focus of their research being altitude-specific control (Jacques, 1995; Stryker, 2010). For this reason, the AFIT OWL model was only utilized as the basis for the longitudinal modeling and control of the Condor.



Figure 5: AFIT OWL (Stryker, 2010)

2.2.5 Naval Postgraduate School SUAS Modeling.

The 2008 Naval Postgraduate School (NPS) RPA modeling thesis by Chua Choon Seong provides a wealth of comparative data on current RPA systems. Choon Seong analyzed the SIG Rascal, Silver Fox, P10B Pioneer, Bluebird, and FROG aircraft in order to demonstrate the variance of aircraft stability parameters depending on the methods of calculation and geometric differences (Choon Seong 2008). The resulting data from his research provides arguably the most comprehensive collection of S-RPA stability parameter data available, and was absolutely vital in the evaluation and validation of the calculated values throughout the Condor modeling process.

2.2.6 Nelson Text

Robert C Nelson's *Flight Stability and Automatic Control* serves as a detailed yet succinct resource for calculating most basic aircraft stability parameters. Basic aircraft dynamic modes and automated control are likewise discussed, in conjunction with many "back of the envelope" methods for model verification and estimation (Nelson, 1998). The reputable traditional aircraft models discussed in Nelson's text were used to develop the Condor lateral/directional model. Aerodynamic data and the state-space model from the Navion aircraft were used extensively as a benchmark for comparative analysis and high-level verification for the initial Condor models (Nelson, 1998).

2.3 Aircraft Description

2.3.1 Missions

The primary mission of Aircraft #1 (AC1) is to demonstrate the flight characteristics of the 30 lb, 12-foot flight configuration, and to validate the numerical model for autopilot tuning. Analysis of the 15-foot wingspan is also investigated, but to a lesser extent than AC1, due to the decreased importance of flight endurance as a program objective. AC1 is then used to fine-tune the Kestrel© autopilot gains at the predicted weight. Once sufficient confidence in the aircraft stability has been achieved, AC1 will be adapted to maximize flight duration and minimize the acoustic signature.

Aircraft #2 (AC2) is the full Hybrid-Electric (HE) engine configuration. The Mission of AC2 is to analyze the potential for use of HE systems in UAV aircraft, both from mission longevity, efficiency, and acoustic standpoints. All non-propulsion variables, such as center of gravity and weight configurations for AC2 are almost identical to that of AC1, allowing a direct transfer of the mathematical model and Kestrel PID gains.

2.3.2 Design

The Condor aircraft was designed and constructed by CL Max Engineering, a Colorado-based UAV design firm. The aircraft is designed for a 30 lb flying weight and 12 foot wingspan, with 1.5 foot wingtip extensions available if desired. This weight and high-aspect ratio configuration was chosen for the sailplane-like characteristics of low speed, long-endurance and low acoustic flights. Both airframes are designed and weighted to the specification of the full HE engine configuration, despite Aircraft #1 being driven by a standard Internal Combustion Engine (ICE). The basic aircraft parameters are shown in Table 1, along with a view of the AC1 prototype shown in Figure 6.

Table 1: Aircraft Configuration

~ .		
System	Description	
Engine	- 35cc Honda ICE (AC1) or 25cc Honda ICE and Electric (AC2)	
Aircraft Weight	- 30lbs (optimal) 50lbs (maximum)	
Wings	– 12 ft wingspan with extensions to 15ft	
	– Eppler 210 airfoil with 1 ft chord	
	– Wing Area 12ft ² or 15 ft ²	
Fuselage	- Tapered 6"x4" fiberglass-covered foam layup.	
	- Length 4.83 ft (including engine)	
Tail configuration	– Low-cruciform tail	
	– NACA 0009 airfoil with 9in chord, 25% control surface	
	– Horizontal Stabilizers 18in span	
	- Vertical Stabilizer 15in span	
Landing Gear	- Convention configuration with optional drop-away main gear	
	– Steerable tail-wheel electronically linked to rudder control	
Aircraft Controllers	- Futaba R6008HS and Procerus Technologies Kestrel© v2.4	
Ground Control Station	- Procerus Technologies Virtual Cockpit v2.0 and Futaba Controller	
Predicted Airspeeds	$-V_{s0} = 24 \text{ mph}$	
(at 30 lbs)	$-V_{TO} = 20 \text{ mph}$	
	$-V_{NE} = 80 \text{ mph}$	
	$-V_A = 65 \text{ mph}$	



Figure 6: Condor S-RPA in AC1 Configuration

2.4 Definitions and Convention

2.4.1 Body Axis Convention

Because the focus of stability and control is on the aircraft reactions to external moments and forces, the relative position of the aircraft is insignificant in the analysis. For this reason, the Body-Axis reference frame is chosen for analysis. The Body-Axis reference frame is based at the Center of Gravity (cg). The coordinate system consists of orthogonal X, Y, and Z axes, where the X axis travels from the nose to tail of the aircraft, the Y axis along the span of the wings, and the Z axis vertically. Rotations about these axes are measured in the angles L(roll angle), M (pitch angle) and N (yaw angle). The corresponding velocities along these axes are u, v, and w, and the moments about the axes are p, q, and r, respectively. A depiction of the right-hand body axis coordinate frame can be seen below in Figure 7.

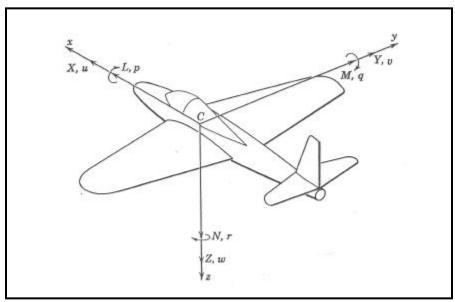


Figure 7: Body-Fixed Reference Frame

2.4.2 Wind Axes and Euler Angles

The wind axes for the aircraft are relative to the body reference frame, and consist of the angle of attack and angle of sideslip values α and β , respectively. When it is necessary to relate the body reference frame to the earth or another frame, a set of angles between the two frames are described by the *Euler Angles*. Table 2 shows the Society of Flight Test Engineers definitions for the Euler Angles.

Table 2: Euler Angle Definitions (Gardner, 2001)

Angle	Description
Ψ	Yaw angle: The angle between the projection of the vehicle x
	axis on the horizon plane and the reference x axis. If a North-
	East-Down (NED) frame is used, ψ is the heading angle
Θ	Pitch angle: The angle in the vertical plane between the body x
	axis and the horizon
Φ	Bank angle: The angle between the body y axis and the
	horizontal reference plane as measured in the y –z plane. Also
	known as the Roll angle.

2.4.3 Moments and Accelerations

Mathematical modeling of aircraft flight dynamics is made possible by the expression of the aircraft movement in terms of the linear and rotational accelerations about the 6 degrees of freedom on the body reference frame. Each of these accelerations is generally expressed as acceleration about or along an axis. Using this symbology, acceleration of the aircraft along the x axis due to the change in velocity (u) is written as X_u . Table 3 below shows the 6-degree of freedom accelerations used for longitudinal stability, and Table 4 the lateral/directional accelerations for conventional aircraft. (Stryker 2010). Derivations and approximations for these variables can be found in Nelson (1998), McRuer (1973), Yechout et.al (2003), and most notably Roskam (1979).

Table 3: Aircraft Longitudinal Definitions (Nelson, 1998 p.123)

Variable	Description
X_u	x acceleration due to change in u
X_w	x acceleration due to change in w
Z_u	z acceleration due to change in u
Z_w	z acceleration due to change in w
$Z_{\dot{w}}$	z acceleration due to change in w velocity
Z_{∞}	z acceleration due to change in α
$Z_{\dot{lpha}}$	z acceleration due to change in α velocity
Z_Q	z acceleration due to change in w velocity
$Z_{\delta e}$	z acceleration due to change in elevator angle
$rac{Z_{\delta e}}{M_u}$	Pitch moment due to change in <i>u</i>
M_{w}	Pitch moment due to change in w
$M_{\dot{w}}$	Pitch moment due to change in w velocity
M_{∞}	Pitch moment due to change in α
$M_{\dot{\propto}}$	Pitch moment due to change in α <i>velocity</i>
M_Q	Pitch moment due to change in Q
$M_{\delta e}$	Pitch moment due to change in elevator angle

Table 4: Aircraft Lateral/Directional Derivatives

Variable	Description
Y_{eta}	Pitch acceleration due to change in <i>v</i>
N_{eta}	Pitch acceleration due to change in roll
L_{eta}	Pitch acceleration due to change in yaw
Y_p	Roll acceleration due to change in <i>v</i>
N_p	Roll acceleration due to change in roll
L_p	Roll acceleration due to change in yaw
Y_r	z acceleration due to change in α
N_r	z acceleration due to change in α velocity
L_r	z acceleration due to change in w velocity
$Y_{\delta a}$	z acceleration due to change in elevator angle
$N_{\delta a}$	Pitch moment due to change in <i>u</i>
$L_{\delta a}$	Pitch moment due to change in w
$Y_{\delta r}$	Pitch moment due to change in w velocity
$N_{\delta r}$	Pitch moment due to change in α
$L_{\delta r}$	Pitch moment due to change in α velocity

2.5 Airframe Stability

The first major division in aircraft stability analysis is between the static and dynamic stability of the aircraft. Yechout (2003) describes static stability as the "initial tendency of an aircraft to develop aerodynamic forces or moments that are in the direction to return the aircraft to the steady state position" following a perturbation from the steady state (p.173). The important differentiation that must be made between static and dynamic stability is that static stability is only the initial and thus time-independent stability. In contrast, dynamic stability is the time response analysis of an aircraft's ability to return to the steady state. This is shown pictorially below in Figure 8.

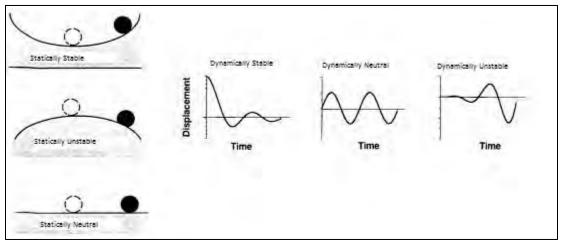


Figure 8: Static and Dynamic Stability (Nelson, 2008 p.39)

2.5.1 Static Stability Analysis

The static stability for conventional aircraft is most dependent upon the relative positions of the aircraft center of pressure and center of gravity. In order for an aircraft to be statically stable, the center of gravity must be forward of the center of pressure

(Yechout, 2003). Likewise, the aerodynamic moments caused by the control surfaces following a perturbation must generally cause a restoring moment. For this to be achieved, the stability derivatives in Table 3 and Table 4 must take the appropriate sign.

To further refine the static stability of the aircraft, a balance must be reached between each aircraft force and moment. This is achieved by utilizing the USAFA/Brandt JET5 software, capable of not only modeling the aircraft layout and weight configuration, but the balance between longitudinal and lateral/directional derivatives. A screenshot of the Condor model in Jet5 is shown in Figure 9. For specific information on static stability derivatives, Yechout Chapters 5-6 and Nelson Chapter 2 both provide comprehensive explanations (Yechout, 2003), (Nelson, 1998).

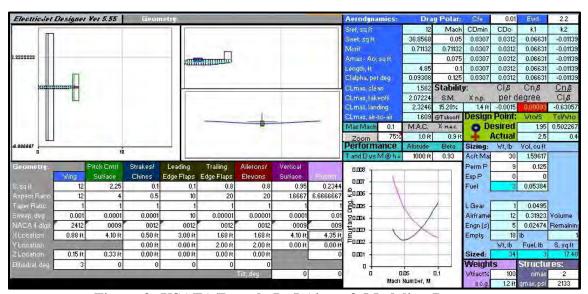


Figure 9: USAFA/Brandt Jet5 Aircraft Modeling Program

2.5.1 Dynamic Aircraft Stability Modes

Of primary concern for dynamic stability of conventional aircraft are the oscillatory longitudinal and lateral modes. For longitudinal analysis, this can be found in the short period and long period, or Phugoid modes. In lateral-directional analysis, there is usually only the Dutch roll mode, as the roll and spiral modes are generally non-oscillatory (Nelson, 1998). The critical information regarding the behavior of these modes can be deduced by focusing on the poles of the transfer function shown in Equation 2.4. When factored into this specific format, the natural frequencies of the short period (ω_{sp}) and Phugoid (ω_p), as well as the corresponding damping ratios ζ_{sp} and ζ_p are easily calculated. This is similarly true for the lateral-directional Dutch Roll mode. By evaluating the frequency and damping of each mode, a basic assessment of the open-loop dynamic stability can be made (Yechout 2003). Approximations for the Short Period and Phugoid natural frequencies can be found by using Equations 1 and 2 (Stryker 2010).

$$\omega_{sp} \sim \frac{u_0 S\bar{c}}{\sqrt{I_y m}} \tag{1}$$

$$\omega_{\rm p} \sim \sqrt{\frac{Z_{\rm w}g}{u_0}}$$
 (2)

2.5.2 State-Space Representation

The most common method of developing and analyzing an aircraft model is by utilizing state-space representations (Stevens 2003). The basic aircraft linear state-space model is comprised of the plant matrix A, input matrix B, filter matrix C and disturbance matrix D, as well as the state vector x, input vector u and output vector y. For the

simplified model being used in the Condor analysis, the D matrix and the associated gusts or disturbances are neglected. This ultimately simplifies the state-space representation for the input-output relationship of the Condor simulations to Equations 3 and 4. In order to express this relationship in a frequency-observable layout, Equation 5 is used to convert the state space equations into transfer function format. By then selecting a single input and output from the u and y vectors, the specific response to a particular type of input can be parsed. This input-output relationship is shown in Equation 6 and is formatted to allow easy depiction of the specific frequencies and damping factors associated with the position of the poles and zeroes corresponding to that particular relationship (Ogata, 2001).

$$\dot{\mathbf{x}} = \mathbf{A}\mathbf{x} + \mathbf{B}\mathbf{u} \tag{3}$$

$$y = Cx (4)$$

$$y(s) = C(sI - A)^{-1}B \cdot u(s)$$
(5)

$$\frac{y(s)}{u(s)} = \frac{(s+z_1)(s+z_2)}{(s^2+2\omega_{sn}\zeta_{sn}+\omega_{sn}^2)(s^2+2\omega_{n}\zeta_{n}+\omega_{n}^2)}$$
(6)

The validated state-space models used in the Condor analysis are shown below in Equations 7 and 8. These models were created by Roskam, refined by Jacques for use with his dissertation on aircraft terrain following, and adapted to SUAS systems in Stryker's 2010 thesis on the AFIT OWL stability and Control (Roskam, 1979; Jacques, 1995; Stryker 2010). This state-space representation is able to encompass the set of five coupled equations of longitudinal motion for the aircraft. For example, the first row of

Equation 7 demonstrates that the rate of change in the forward velocity is equal to the scaled sum of the current horizontal velocity, vertical velocity, and flight path angle at that moment in time. This formatting allows for the simultaneous solving and simulation of the system of equations, as well as the ability to visually determine effects on the aircraft input-output relationship through stability parameter adjustment.

$$\begin{bmatrix}
\Delta \dot{u} \\
\Delta \dot{\psi} \\
\Delta \dot{Q} \\
\Delta \dot{\theta} \\
\Delta \dot{h}
\end{bmatrix} = \begin{bmatrix}
X_{u} & X_{w} & 0 & -g & 0 \\
Z_{u} & Z_{w} & u_{0} & 0 & 0 \\
M_{u} + M_{\dot{w}} Z_{u} & M_{w} + M_{\dot{w}} Z_{w} & M_{Q} + M_{\dot{w}} u_{0} & 0 & 0 \\
0 & 0 & 1 & 0 & 0 \\
-1 & 0 & u_{0} & 0
\end{bmatrix} \begin{bmatrix}
\Delta u \\
\Delta w \\
\Delta Q \\
\Delta \theta \\
\Delta h
\end{bmatrix}$$

$$+ \begin{bmatrix}
X_{\delta e} & X_{\delta T} \\
Z_{\delta e} & Z_{\delta T} \\
M_{\delta e} + M_{\dot{w}} Z_{\delta e} & M_{\delta T} + M_{\dot{w}} Z_{\delta T} \\
0 & 0 & 0
\end{bmatrix} \begin{bmatrix}
\delta e \\
\delta T
\end{bmatrix}$$

$$\begin{bmatrix}
\delta e \\
\delta T
\end{bmatrix}$$

$$\begin{bmatrix}
\Delta \dot{\beta} \\
\Delta \dot{p} \\
\Delta \dot{r} \\
\Delta \dot{\phi}
\end{bmatrix} = \begin{bmatrix}
\frac{Y_{\beta}}{u_0} & \frac{Y_p}{u_0} & -(1 - \frac{Y_r}{u_0}) & \frac{g}{u_0} \\
L_{\beta} & L_p & L_r & 0 \\
N_{\beta} & N_p & N_r & 0 \\
0 & 1 & 0 & 0
\end{bmatrix} \begin{bmatrix}
\Delta \beta \\
\Delta p \\
\Delta r \\
\Delta r \\
\Delta \phi
\end{bmatrix} + \begin{bmatrix}
0 & Y_{\delta r} \\
L_{\delta a} & L_{\delta r} \\
N_{\delta a} & N_{\delta r} \\
0 & 0
\end{bmatrix} \begin{bmatrix}
\delta a \\
\delta r
\end{bmatrix}$$
(8)

2.6 Kestrel Autopilot Tuning

In order to utilize feedback control, the Kestrel autopilot system uses three levels of controlling action. Level 1 loops control basic aircraft stabilization. They consist of the aircraft angles and rates, such as the pitching rate, yaw angles, and throttle position.

Level 2 loops allow for the autopilot to perform more advanced tasks, such as following headings and maintaining altitudes. Finally, the feed-forward parameters allow for trimming the aircraft to specific flight conditions, and smoothing out the autopilot commands by placing limitation on servo rates and positions (Stryker 2010). Furthermore, the Kestrel system is capable of flying in a "manual mode" where only level 1 loops are enabled, allowing the pilot to fly with a stability augmentation system, while still maintaining directional control. The level 1 and level 2 control loops can be seen in Figure 10, with the level 1 loops shown as the two innermost feedback loops.

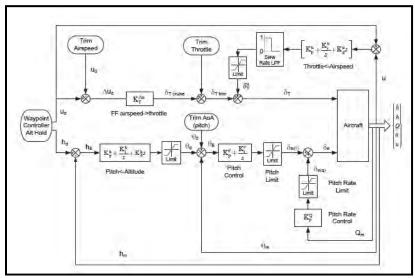


Figure 10: Kestrel Level 1 and 2 Feedback Loops

2.6.1 Longitudinal Control

Longitudinal control for the Kestrel is composed of two levels of control feedback loops that must be tuned for effective control. The pitch and pitch rate loops comprise the level 1, and the altitude and airspeed hold are the level 2 loops. Proper tuning of these loops can be accomplished using simulated or actual pitch perturbations. The difficulties

with tuning the longitudinal parameters arise when shifts in the center of gravity due to cargo loading change the aircraft longitudinal moment of inertia. For this reason, weight and location limits for fuel and cargo capacity are critical for effective autonomous flight.

2.6.2 Lateral/Directional Control

The Kestrel lateral/directional control consists of the roll, roll rate, and yaw rate level 1 loops and the heading level 2 loop. Due to the significant aerodynamic coupling for large wingspan aircraft such as the Condor, determining efficient PID values for the lateral aircraft control is considerably more difficult than it is for the longitudinal modes. In contrast, the longitudinal stability analysis can often be completed by a test flight of the aircraft to determine effective PID values. The additional coupling of the longitudinal modes dictate that an approximation of the lateral values should be made through simulation prior to flight testing.

2.7 Flight Test Organization

Due to the fact that the Condor is a custom-build airframe, no prior testing for safety or performance measures have been conducted. Thus determination of its flight characteristics must follow a set of safe, pre-determined procedures. The procedures used in the analysis of the Condor flights are derived from those used by Stryker (2010), and Jodeh (2006), and utilize techniques discussed in Nelson (1998), Yechout (2003), and Roskam (1979).

2.7.1 Flight Test Objectives

The most critical flight test data for this project is aircraft telemetry that facilitates validation of the predictive PID values. Correct PID values enable the aircraft to fly in an efficient, stable configuration, to include autonomous flight. To accomplish this it is important to first determine the open-loop characteristics, such as pertinent airspeeds and modal characteristics. It is then possible to update the mathematical aircraft model to predict more accurate PID gains prior to the in-flight tuning process. The third level of test objective is the performance level. These objectives consist of determining the operational capabilities of the aircraft, such as loiter time, climb performance, and acoustic signature levels.

2.7.2 Test Range Requirements

Due to current FAA regulations, corporations and government organizations are limited to restricted airspace for testing of autonomous vehicles. For this reason, the Condor aircraft are tested at Camp Atterbury in Edinburgh, Indiana. This location allows for undisturbed flights of greater than two hours, with a mitigated risk of personal or property damage in the event of an accident. The flight test range at Camp Atterbury is shown below in Figure 11.



Figure 11: Camp Atterbury Flight Test Range

2.8 Chapter Conclusion

This brief background discussion detailed the background research, and processes necessary for effective modeling, tuning, and flight testing of the base and hybrid-electric Condor Aircraft. The utilization of the Procerus Technologies Kestrel autopilot significantly simplifies control the model and flight testing, provided that an effective mathematical model can be determined.

3 Methodology

3.1 Chapter Overview

The process for determining a suitable mathematical model for the Condor is very iterative in nature, based upon the high degree of accuracy needed for the autopilot to effectively operate. Based on the loiter mission for the Condor, a significantly greater effort was spent ensuring the longitudinal stability and ability to maintain and track altitudes. The major goals of the modeling process included the following.

- Based on geometric and historic data, determine static stability derivatives
- Develop longitudinal and lateral control loops to simulate Kestrel control
- Using successive loop closures, determine flying PID gains
- Verify flightworthiness of aircraft in both configurations
- Flight Test AC1
- Refine model to reflect flight test results
- Explain the necessary changes to the model
- Adapt model to accommodate differences in AC2

This process was made significantly more difficult due to the lack of engineering designs and aircraft data from the manufacturer. As a result, all calculations started with basic aircraft geometry and physically measured values.

3.2 Aircraft Static Modeling

Three different modeling software packages were used to predict the basic aircraft stability parameters. While it was not the original intent, difficulties with the initial approaches to the aircraft modeling process necessitated finding software that could effectively and expediently model the aircraft.

3.2.1 The CLMax Xplane Model

The first model of the Condor aircraft was developed by the manufacturer, CLMax Technologies, in accordance with the AFIT specifications. The design was driven by the parameters discussed in Harmon's work on optimization of an aircraft design for use with an HE system (Harmon et al, 2006). In order to physically model the aircraft, CLMax chose to model in CAD, and then transpose the design into the computer flight simulator Xplane. Xplane utilizes the blade element theory to predict actual flight characteristics. Unfortunately, any information beyond the basic geometric model, which was deemed under-detailed, was claimed as proprietary. Using the model that was provided, and converting from the left-handed coordinate system, the team was able to determine the three Moments of Inertia (MOI) calculations from the CLMax Xplane model. These MOI values can be found in Table 6. Limitations in the software available, as well as the reliability of the model, forced the use of other models for further static and dynamic stability determination.

3.2.2 USAF Open Digital DATCOM

Digital DATCOM is a FORTRAN-based software package developed as a digitized version of the Air Force's DATCOM aircraft design manual. DATCOM encompasses all of the expected design parameters for a conventional aircraft, and is the primary tool utilized in the DOD for aircraft digital modeling. Unfortunately, Digital DATCOM is written in FORTRAN, an older programming language that has not been updated to a more modern code. OpenAE, an open-source variant of Digital DATCOM, utilizes a user-friendly Graphical User Interface (GUI), making the data interface much simpler. The OpenAE program is able to convert simple graphical user options and variables into the desired FORTRAN code, and then run the code as well.

Using OpenAE involves constructing the aircraft using the known geometric data, center of gravity, and any airfoil or engine information available. Figure 12 below shows a sample screen from the OpenAE GUI. The standard output file for the Digital DATCOM is a series of text files encompassing all requested stability derivatives, processes, and MOI data.

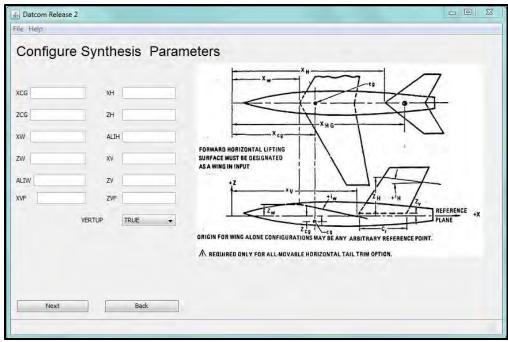


Figure 12: OpenAE DATCOM Screenshot

Several significant shortcomings were immediately apparent from the initial data output from the DATCOM. First is the inability of Digital DATCOM to model rectangular cross-sectional surfaces, such as fuselages and wing sections. As a result, the 12-foot configuration of AC1 was modeled using an oval fuselage cross-section, thus reducing the fuselage effect on stability and control. Secondly, and most importantly, Digital DATCOM is unable to model a closed fuselage, as well as prop effects. As a result, the output data from DATCOM, shown below in Figure 13, yields unrealistic predictions for the aircraft rolling and yawing stability derivatives ($C_{Y\beta}$, $C_{N\beta}$, and $C_{L\beta}$), and under-predicted lift and over-predicted drag calculations (C_L and C_D , respectively).

			FI 1	GHT CON	DITIONS					REFER	ENCE DIME	NSTONS	
	ACH IBER	ALTITUDE	VELOCITY		SSURE	TEMPERATURE		NOLDS IMBER	REF. AREA	REFERENCE LONG.		MOMENT RE HORIZ	F. CENTER VERT
		FT	FT/SEC			DEG R			FT**2	FT	FT	FT	FT
0.	050	1200.00	55,59	2.02	60E+03	514.391	3,419	5E+05	12.000 DERIVA	1.000 ATIVE (PER DE		1.265	-0,050
AL	PHA	CD	CL	CM	CN	CA	XCP	CLA	CMA	CYB	CNB		CLB
0	0.0	0.028	0,540	0.0306	0.540 ALPHA	0,028 Q/QINF	0.057 EPSLON	1.232E-02 D(EPSLON)/D(A		-3,939E-03	-3,270E	-02 -1,7	41E-03
_					0.0	1.000	0.951	0.000					

Figure 13: Digital DATCOM Stability Output

The prop and engine modeling problem only became apparent with the use of Embry Riddle University's DATCOM 3-d Viewer, which uses the DATCOM geometric data to form a Matlab three-dimensional image of the aircraft (Greiner, 2008). The ERAU Matlab® code can be found in Appendix C. The Condor in the 12-foot AC1 configuration output file is shown in Figure 14 below. Despite repeated attempts to correct the errors in simulation, the aforementioned problems continued to cause detrimental effects on the outputs, and the use of DATCOM-based software was abandoned.

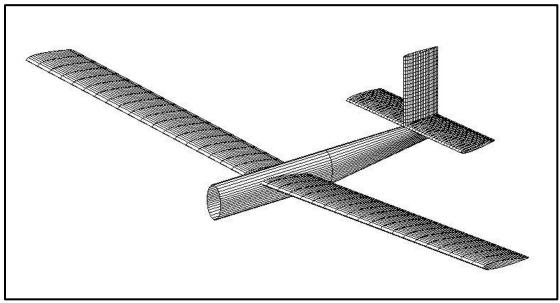


Figure 14: Embry-Riddle 3-D View of Condor AC1 DATCOM Model

3.2.3 USAFA Jet5 Aircraft Design Tool

Use of the Jet5 design tool allows for the basic modeling and weight distribution needed to determine the fundamental stability derivatives. Because the Jet5 software is a composition of multiple texts in one Microsoft Excel spreadsheet, the accuracy of the results are highly dependent upon the fidelity applied to creating the model. Thus for a highly-accurate aircraft model, significant attention must be paid to ensuring the accuracy of the input parameters.

Geometry

In order to start on the correct scale of aircraft, Dr. Brandt of the US Air Force Academy provided the latest Electric RPA version of the Jet5 software shell. The prescaled nature of the software shell allowed minimal necessary change to scaling parameters such as Reynolds Number effects, which would have been required if adapting the code from the full *Jet Designer* software. The two most limiting factors in utilizing the Jet5 software were the adaptation of an ICE as the engine, and the definition of the base airfoil. Due to the modeling limitations of Jet5, the NACA 2412 airfoil was used in place of the Eppler 210. This substitution causes little change in the static or dynamic model of the aircraft, as the moments caused by the airfoil shape are negligibly different. There are slight performance differences between the two that will be discussed later.

The ability to define multiple geometric configurations allows Jet5 to more accurately depict the fuselage section, resulting in a highly accurate scale model of the physical aircraft fuselage. Likewise, Jet5 assumes a closed surface at the engine face, thus negating the two major flaws in the Digital DATCOM tests. The geometric design page for the 12 foot ACI configuration is shown below in Figure 15. The resulting secondary geometric wing and control surface data output is shown in Figure 16.

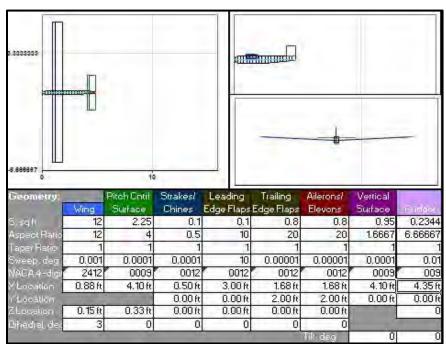


Figure 15: Jet5 Design of 12 Foot Span AC1 Configuration

	Wing		Но	rizontal	Tail	٧	ertical T	ail
b =	12.000	ft	b _{HS} =	3.000	ft	b _{VS} =	1.258	in
c _r =	1.000	ft	CrHS =	0.750	ft	c _{rvs} =	0.755	in
ct =	1.000	ft	CtHS =	0.750	ft	ctvs =	0.755	in
x =	0.880	ft	XHS =	4.100	ft	x _{vs} =	4.100	in
z =	0.150	ft	z _{HS} =	0.333	ft			
Λ _{le} = Γ =	0.001 3.000	deg deg	$\Lambda_{\text{leHS}} = \Gamma_{\text{HS}} =$	0.000	deg deg	A _{leVS} =	30.000	deg
λ=	1		λ _{HS} =	1		λ _{VS} =	1	
S =	12.0000	ft ²	S _{HS} =	2.2500	ft ²	S _{VS} =	0.9500	ft ²
AR =	12.0000		AR _{HS} =	4.0000		AR _{vs} =	3.3334	
MAC =	1.0000	ft	MACHS =	0.7500	ft	MAC _{vs} =	0.7550	ft
cbar _{acW} =	1.1301	ft	xbar _{acHS} =	4.2875		xbar _{acVS} =	4.6520	
x _{acW} =	1.1301	ft	X _{acHS} =	4.2875	ft	XacVS =	4.6520	ft
cbar _{ogW} =	1.3801		xbar _{cgHS} =	4.4750		xbar _{cgVS} =	4.8407	
y _{acW} =	3.0000	ft	y _{acHS} =	0.7500	ft	y _{acVS} =	0.0000	ft
z _{acW} =	0.1570	ft	ZacHS =	0.0000	ft	Z _{acVS} =	0.0000	ft
$\chi_{\text{ogW}} =$	1.3801	ft	X _{ogHS} =	4.4750	ft	X _{cgVS} =	4.8407	ft
y _{cgW} =	2.9959	ft	y _{ogHS} =	0.7500	ft	y _{ogvs} =	0.0000	ft
z _{ogW} =	0.1570	ft	Z _{ogHS} =	0.0000	ft	Z _{cgVS} =	0.0000	ft
e =	0.9236		e =	0.8090		e =	0.7532	
C _{LaW} =	5.3227	rad-1	C _{LaHS} =	3.8832	rad-1	C _{L∞VS} =	3.4973	rad
eo =	0.386024	91 $e_a = 4$	61(1-0.045AR a	sa)(cos A LE)0.15 - 3.1			
K _w =	0.0687		K _{HS} =	0.0984				

Figure 16: Condor Geometric Data for Wings and Control Surfaces

Weight

Once the basic geometry is defined, the vehicle weight distribution and center of gravity must be entered into the "Weight" tab. The critical area of interest from the Jet5 "Weight" Tab is shown below in Figure 17. The "permanent payload" referenced below is the ballasted weight in AC1, used to simulate the additional weight of electronics, motor, and additional batteries that are necessary for the Hybrid Electric System. The individual component weights can be found in Joseph Ausserer's *Integration, Testing, and Validation of a Small Hybrid-Electric Remotely Piloted Aircraft* (Ausserer, 2012). For the requirements of Jet5, the combined component packages are assumed to be one mass, with a constant center of gravity, and focused directly under the wing section, at roughly 1.5 feet from the nose of the aircraft.

	Weight	Xcg	Moment	
ltem	lb	ft	ft lb	
Wing	10.07348	1.280052	12.89458	
Fuselage	1.449389	2.416667	3.50269	
Pitch Cntrl	0.5265	4.400001	2.316601	
Vert	0.2223	4.401991	0.978563	
Nacelles	-0.04536	-0.062	0.002812	
Strakes	0.0234	0.517889	0.012119	
Engine	4.9	-0.327	-1.6023	Weight Fraction
Gear	1.1583	1.394748	1.615537	Model Used
Perm Payload	9	1.5	13.5	0.033
Exp Payload1	0	0	0	
Exp Payload2	0	0	0	0.1
Fuel1	0.897331	1.5	1.345997	0.1625
Fuel2	0.897331	1.5	1.345997	0.17
Fuel3	0.897331	1.5	1.345997	
Total@Takeoff	30	1.241953	37.25859	0.15279546
		xcg takeoff		S.M.
Total for Lndg	27.30801	1.216515		0.178233454
		xcg landing	9	S.M.

Figure 17: Jet5 "Weight" Tab for 12-Foot AC1 Configuration

Engine

Defining the Condor power plant required hard-coding of predictive thrust values and component weights to properly model the aircraft. This is because the current release of Jet5 is tailored to an electric-only ducted-fan style RPA model. The correction to adapt the original JET5 to electric configuration mandated the scaling of the turbojet configuration to an R/C scale aircraft and replacing fuel with a constant battery weight. As a result, the electric ducted fan "turbojet" is modeled as a small square block with the dimensions of the AC1 35cc Honda ICE. Hard-coding of thrust and fuel burn values into the Jet5 program voids the accuracy of mission duration and range-type predictions, but allows a much simpler approach to calculating basic performance airspeeds and flight

capabilities. Equation 9 below shows the approximation used to convert a horsepower rated engine, in this case rated at 1.3 SHP for the Honda 35cc ICE, into propeller-generated thrust (Ausserer, 2012). The low-subsonic flight regime of the Condor allows for the propeller efficiency factor, η_P , to be approximated at 0.9. The thrust-specific fuel consumption can then be calculated by referencing the engine fuel burn rate, and is shown in Equation 10. The final hardcoded inputs into the Jet5 software engine data are shown in Figure 18.

$$T_A = SHP_{SL} \frac{\rho}{\rho_{SL}} \frac{\eta_P}{V} \tag{9}$$

$$TSFC = \frac{\dot{W}_f}{T} \tag{10}$$

Engine(s):#	1	Mil	Max		mdot		Diameter	
Static	Thrust ea	12	12	lb	0.11	lbm/s	0.50 ft	0.25 ft
Sea Level	TSFC	0.12	0.12	per hr	ďΧ	ďΥ	dΖ	h
Fuselage:	Length	Max Width	Max Height	Inlet(s):	-0.13 ft	0.00 ft	0.00 ft	0.25 ft
Regenerate	4.83 ft	0,35 ft	0.63 ft	Compr Fac	-0.12 ft	0.00 ft	0.00 ft	0.50 ft

Figure 18: Jet5 AC1 Engine Model

Stability and Control

The completion of the basic modeling of the Condor geometry and engine data allows for a first look at the static stability and controllability analysis. Utilizing a variety of equations found in Roskam (1979), Raymer (1999), and Brandt et al (2004), Jet5 is able to output the first detailed predictions of some vital static stability derivatives, shown in Figure 19.

		or Design C		-
Takeoff Wt =	30.0000	lb.	0.0300	lb
Landing Wt =	27.3080	lb	0.0273	lb
C _{La} =	6.0508	rad '	0.10561	per deg
xbar _{np} =	1.3947	X _{np} =	1.3947	ft
xbar _{cg_Lndg} = SM _{Lndg} = F	1.2165 0.1782	X _{cg_indg} =	1.2165	ft
xbar _{cgTakeoff} =	1.2420	X _{cgTakeoff} =	1.2420	ft
SM = Z _{cg} =	0.1528 0.0000			
C _{NEVS} =	0.07868	rad '	0.00137	deg '
C _{NEWO/hea} =	-0.00014	rad '	0.00000	
	0.00000	rad	0.00000	
CNEHEDINES = CNEFex =	-0.02544	rad	-0.00044	
C _{NE} =	0.05310	rad '	0.00093	
C _{Bolheoral} =	-0.06967	rad ⁻¹	-0.00122	
C _{BVS} =	-0.01452	rad '	-0.00025	
C _{Bsweep} =	-0.00002	rad '	0.00000	
C _{Balhearts} =	0.00000	rad '	0.00000	
C _S =	-0.08421	rad '	-0.00147	
CNB/COB =	-0.6306		2,00	-
C _{ma} =	-1.6219	rad '	-0.02831	deg
C _{max} =	-0.9245	rad '	-0.01614	
C =	1.3099			
C _{LNorm} =	1.7295			
L _w =	26.3402	lb		
Cuving =	1.2635			
C _{LwingNorm} =	1.2652			
L _{HS} =	0.9678	lb		
C _{LHS} =	35.6536			
CLHSHAPA =	2.4759			
α =	0.2377	rad	13.620	dea
OLOL =	-0.0481	rad	-2.757	deg
045 =	0.6376	rad	36.532	deg
L=	0.3999	rad	22.912	100

Figure 19: Jet Condor Stability Data

The most critical values for continuation of the project without design changes are the static margin, $C_{N\beta}$, $C_{I\beta}$, and the ratio between them, $\frac{c_{n\beta}}{c_{l\beta}}$. The static margin alludes to the longitudinal stability, and is based upon the distance between the center of gravity and aerodynamic center. $C_{N\beta}$ is an indicator of the aircraft's natural ability to weathercock out of a sideslip, and $C_{I\beta}$ is an indicator of the aircraft's tendency and direction of roll when a sideslip occurs. The ratio $\frac{c_{n\beta}}{c_{l\beta}}$ is necessary to determine the overall aircraft response to a lateral-directional perturbation. A ratio less in magnitude than 1/3 will

indicate an aircraft's tendency to "Dutch roll" or weave back and forth, much like a figure skater whereas a ratio greater in magnitude than 2/3 will indicate a tendency to enter a spiral mode (Brandt 2004). Figure 20 and Figure 21 display the Jet5 stability predictions for the aforementioned parameters for the initial 12 and 15-foot Condor Configurations.

Stabilit	y:	ClB	Cnβ	Cn _B
S.M.	X n.p.	per d	legree	$CI\beta$
15.31%	1,4 ft	-0.001	0.00091	-0.61974

Figure 20: Jet5 Stability for 12 Foot Condor

Stabilit	y :	$CI\beta$	$Cn\beta$	<u>Cnβ</u>
S.M.	X n.p.	per d	egree	$CI\beta$
14.04%	1.3 ft	-1E-03	0.00058	-0.5849

Figure 21: Jet5 Stability for 15 Foot Condor

As the red highlighted areas indicate, the predicted weather-cocking stability parameter $C_{N\beta}$ values is lower than acceptable in both configurations. A $C_{N\beta}$ value of greater than 0.001 is necessary for traditional aircraft static stability in the yaw direction. The 12 foot configuration is within the probable error of the minimum value, and could be acceptable; however the 15 foot span would significantly suffer if left uncorrected. The simplest fix to this problem is to increase the size of the vertical stabilizer of the aircraft (Brandt 2004). Fortunately, the manufacturer provided interchangeable tail sections, and thus the 18 inch horizontal stabilizer from a spare aircraft can be used in place of the smaller vertical stabilizer. Figure 22 and Figure 23 show the corrected configurations for the 12 and 15 foot span. Although the 15 foot span configuration is still not within desired limits, the additional tail volume has brought it within an

acceptable range of the target value. The Condor team determined that flight of the 15-foot configuration was a secondary objective of the project, and thus further design and fabrication of a larger tail for this configuration was unnecessary.

Stabilit	y:	$CI\beta$	Cnβ	Cn _B
S.M.	X n.p.	per d	legree	$CI\beta$
14.86%	1.4ft	-0.002	0.0012	-0.77472

Figure 22: Jet5 Corrected Stability for 12 Foot Condor

Stabilit	y :	$CI\beta$	$Cn\beta$	$Cn\beta$
S.M.	X n.p.	per d	egree	$CI\beta$
13.65%	1.3 ft	-0.001	0.00088	-0.8093

Figure 23: Jet5 Corrected Stability for 15 Foot Condor

Performance.

The last major predictive contribution made by Jet5 was the output of numerous performance data points, necessary in determining critical aircraft airspeeds and performance expectations. Figure 24 below shows the Condor 12 foot configuration expected drag polar at 1000 feet Mean Sea Level (MSL). The airspeeds in Table 5 are determined using techniques found in *Introduction to Aeronautics: A Design Perspective* by Brant et al (2003). The lower airspeed values can be expected to decrease slightly in flight test, due to the differences in trailing edge surfaces between the Eppler 210 and NACA 2412 airfoils. Likewise, the maximum airspeed will most likely fluctuate from the predicted, due to differences between the Ausserer test results and the published Honda data on the 35cc ICE (Ausserer, 2012).

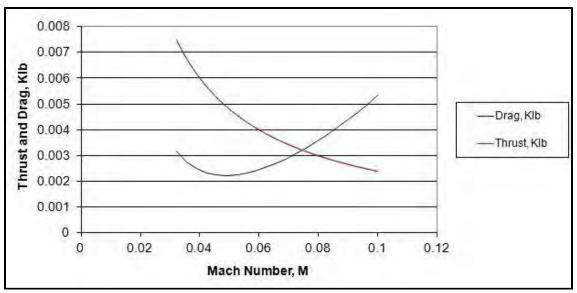


Figure 24: Condor 12 Foot Wingspan Drag Polar

Table 5: Condor Predicted Airspeeds

Description	Airspeed
Stall Airspeed	24.3 Mph (35.7 ft/s)
Takeoff Airspeed	27.3 Mph (40.1 ft/s)
Max Endurance	34.6 Mph (50.8 ft/s)
Max Range	47.7 Mph (69.9 ft/s)
Max Level Speed	63.0 Mph (92.3 ft/s)

3.3 Moment of Inertia Analysis

The dynamic stability and tuning of the aircraft autopilot is highly dependent upon the accuracy of the Moment of Inertia calculations. In order to verify realistic values, two methods of calculation were used: The CL Max Xplane analysis and the Space Electronics MOI analysis, to be discussed subsequently. The results of these testes were then compared to similar scale aircraft from data found in Choon Seong's NPS research (Choon Seong, 2008).

3.3.1 CLMax Xplane Analysis.

The manufacturer of the Condor aircraft was able to provide an Xplane[©] model of the Condor that was accompanied by a set of MOI data. Because the aircraft was designed using a left-handed coordinate system, a re-labeling of axes was required to match the convention shown in Figure 7. Simply re-labeling the axes is mathematically acceptable, provided the restriction that only the moments, and not products of inertia are transformed to the right-handed reference frame. Additional data regarding the detail of calculation and modeling incorporated into the Xplane[©] model was considered proprietary, requiring additional MOI testing for verification of the provided results.

3.3.2 Space Electronics MOI Calculation.

Utilizing a *Space Electronics*^{LLC} XR250 MOI device provided a much more precise measurement of AC1 MOIs. The XR250 is able to calculate object moments of inertia to an accuracy of ± 0.002 lb-in². This accuracy, however was degraded by the setup required to handle the expansive size of the fully assembled AC1. The test stand shown in Figure 25 was created to effectively mount the Condor aircraft and allow it to rotate about the three primary flight axes for the XR250 calculation.



Figure 25: MOI Device Aircraft Mount

In order to determine the aircraft pitching MOI, the wings had to be removed, as the wingspan exceeded the height of the measuring device. This measure undoubtedly affected the calculation of the AC1 pitch MOI, but was necessary for achieving any potential reading. The associated error can be rationalized by the assumption that the majority of aircraft mass is not in the wing section, and is rotating at a minimal distance from the center of gravity, thus creating a minimal moment that has a nominal effect on the entire aircraft pitch MOI.

The rolling moment calculation was somewhat compromised by the aerodynamic dampening of the large wings arresting the oscillations prior to the completion of the XR250 calculation. Re-accomplishing the test failed to produce useable MOI data, but the period of oscillation for both wingspan configurations was recorded and calculated

using the yawing moment for comparative analysis. Figure 26 illustrates the testing process for the AC1 yaw and roll MOI calculations.



Figure 26 Condor AC1 MOI Calculations

3.3.3 Comparative Analysis

Utilizing data from Choon Seong and Jodeh's small RPA modeling research, a comparative table of MOI data for similar scaled aircraft is shown below in Table 6 (Choon Seong, 2008; Jodeh, 2006). The three NPS aircraft are all geometrically very different from the Condor, but serve as valuable datas point for the expected ratio of MOI data between different axes. Among the comparative aircraft, the AFIT SIG Rascal 110 is the closest aircraft geometrically. The results in Table 6 validate the accuracy in using the wingless configuration for the pitching moment calculations, as the 12-foot calculated Iyy MOI are very close to both the CLMax predictions as well as the SIG MOI values provided by Jodeh (2006).

Table 6: Collective Small RPA MOI Data

Aircraft	Roll - Ixx (slug*ft ²)	Pitch - Iyy (slug*ft ²)	Yaw -Izz (slug*ft²)
CLMax 12 foot Condor	8.0778	1.124	9.091
12 foot Condor	3.884	1.572	4.569
15 Foot Condor	6.322	1.572	7.329
NPS Frog	12.538	8.408	18.585
NPS Bluebird	12.6113	13.201	19.986
NPS PB10B	33.1878	19.175	44.988
AFIT SIG Rascal 110	1.9	1.55	1.7

3.4 Aircraft Model Development and Simulation

Dynamic modal analysis of the Condor aircraft requires the development of a base aircraft model, of the format shown in Equations 5 and 6. Because of the separable nature of lateral-directional and longitudinal control of the aircraft, it is both logical and preferable to individualize the control schemes. The longitudinal stability control consists of the elevator and throttle control, and the lateral-directional control consists of control over the rudder and aileron inputs.

3.4.1 Longitudinal Model.

The vast majority of modeling effort was focused on tuning the longitudinal model and control scheme to allow for adequate climb, cruise, and loiter capabilities.

This modeling effort was composed of the model development, the Simulink® model, and the PID gain tuning.

Model Development.

Incorporating the basic model shown in Equation 5, with the adaptation of an altitude tracking state from the altitude deviation state used by Jacques, yields a full longitudinal control model of the Condor aircraft, shown below in Equation 11 and with the predictive values in Equation 12 (Jacques, 1995). The *A* and *B* matrices are populated with the calculated stability derivative values shown in Table 7, with further derivation and descriptions available in chapter 3 of the Nelson text (Nelson 2003).

$$\begin{bmatrix}
\Delta \dot{w} \\
\Delta \dot{h} \\
\Delta \dot{Q} \\
\Delta \dot{\theta} \\
\Delta \dot{u}
\end{bmatrix} = \begin{bmatrix}
Z_{w} & 0 & u_{0} & 0 & Z_{u} \\
-1 & 0 & 0 & u_{0} & 0 \\
M_{w} + M_{\dot{w}} Z_{w} & 0 & M_{Q} + M_{\dot{w}} u_{0} & 0 & M_{u} + M_{\dot{w}} Z_{u} \\
0 & 0 & 1 & 0 & 0 \\
X_{w} & 0 & 0 & -g & X_{u}
\end{bmatrix} \begin{bmatrix}
\Delta w \\
\Delta h \\
\Delta Q \\
\Delta \theta \\
\Delta u
\end{bmatrix}$$

$$+ \begin{bmatrix}
Z_{e} & Z_{T} \\
0 & 0 \\
M_{e} + M_{\dot{w}} Z_{e} & M_{T} + M_{\dot{w}} Z_{T} \\
0 & 0 & 0 \\
M_{w} + M_{\dot{w}} Z_{w} & M_{w} \end{bmatrix} \begin{bmatrix}
\delta e \\
\delta T
\end{bmatrix}$$

$$\begin{bmatrix}
\Delta \dot{w} \\
\Delta \dot{h} \\
\Delta \dot{Q} \\
\Delta \dot{\theta} \\
\Delta \dot{u}
\end{bmatrix} = \begin{bmatrix}
-4.592 & 0 & 50.8 & 0 & -.374 \\
-1 & 0 & 0 & 50.8 & 0 \\
-.7248 & 0 & -2.627 & 0 & .0015 \\
0 & 0 & 1 & 0 & 0 \\
-.039 & 0 & 0 & -32.2 & -.047
\end{bmatrix} \begin{bmatrix}
\Delta u \\
\Delta w \\
\Delta Q \\
\Delta \theta \\
\Delta h
\end{bmatrix} + \begin{bmatrix}
-35.661 & 0 \\
0 & 0 \\
-66.11 & 0 \\
0 & 0 \\
0 & 0.15
\end{bmatrix} \begin{bmatrix}
\delta e \\
\delta T
\end{bmatrix}$$
(12)

Table 7: Longitudinal Stability Derivatives

Parameter	Value	Unit
CL_{lpha}	6.051	per radian
Cd _o	0.0312	
Q	2.9775	lb/ft ²
Uo	50.8	ft/sec
Р	0.002308	slug/ft ³
S	12	Ft ²
M	0.931677	Slugs
Cl_u	0.055862	
Cl _o	0.22	
Cm_{α}	-1.62	per radian
\overline{c}	1	Ft
Cm_{q}	-11.7426	
Cm_u	0	
Cd_{α}	0.271383	Per Radian
Cd_u	0	
Z_{u}	-1.26772	
Z _w	-4.56891	
$Cz_{\delta e}$	-0.92989	Per Degree
Cm_{\deltae}	-2.93565	Per Degree
Cm _{\alpha}	-3.91416	Per Radian
Μŵ	-0.01724	
$X_{\delta T}$	0.25	

Open-loop analysis of this first model revealed that the aircraft exhibited unstable short period poles, and would thus be inherently unstable. This was caused by an error in the adaptation of Stryker's 2010 AFIT OWL model, where the value of the aircraft pitching moment due to an increase in airspeed, $M_u + M_{\dot{w}}Z_u$, was initially set to 0.15. Design differences between the AFIT OWL and the Condor, such as the pushing prop elevated above the center of gravity on the OWL, dictate that the pitching response of the OWL to an increase in airspeed will be significantly greater than that of the Condor.

For this reason, the value was decreased to a more reasonable 0.0015, yielding the open-loop pitch root locus found below in Figure 27. Of future interest from the open loop results are the nearly unstable Phugoid poles, located close to the imaginary axis.

Although unstable Phugoid modes are not desirable, they are nearly always benign, and can be easily compensated for by pilots or feedback control systems (Stevens 2003).

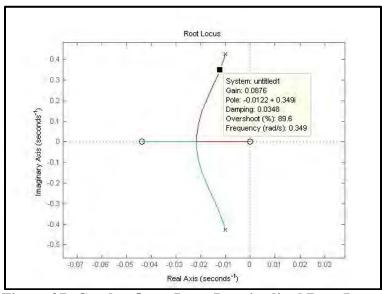


Figure 27: Condor Open Loop Longitudinal Root Locus

Simulink Analysis.

Due to the proprietary nature of many of the control loops within the Kestrel[®] autopilot, an independent Simulink[®] model of the autopilot had to be constructed in order to effectively model the aircraft with specified gains. The Christiansen 2004 Brigham Young University Master's thesis "Design of an Autopilot for Small Unmanned Aerial Vehicles" serves as the foundation upon which the Kestrel[®] autopilot was built, and thus serves as a useable approximation of the current kestrel code (Christiansen, 2004). Christiansen utilized a longitudinal control flow block diagram shown in Figure 28.

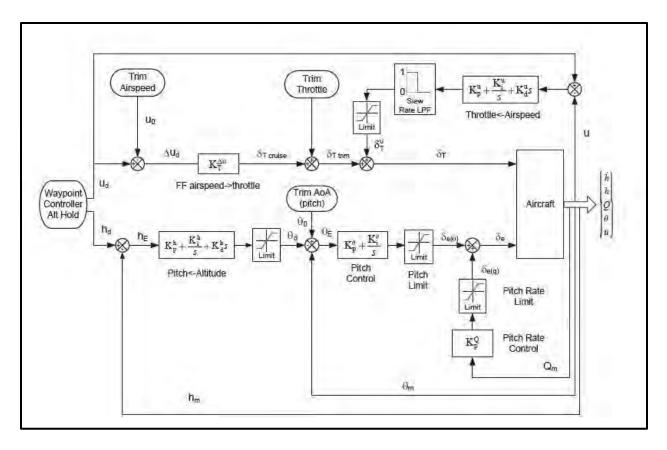


Figure 28 Kestrel Longitudinal Control

This model can be adapted easily utilizing the Matlab Simulink® toolbox. Because the focus of the modal analysis is the dynamic responses, utilizing the perturbation theory allows the elimination of many of the feed-forward values that Procerus Technologies has deemed proprietary and un-releasable in the Kestrel® code. Furthermore the addition of actuators and engine response models to the control model further increases its ability to accurately depict and predict aircraft controllability. By designing the actuators as inner feedback loops with independent rate and position saturations, the integrated error associated with the actuator is decreased, allowing for a more realistic actuator saturation. A fundamental aspect of the model that was initially overlooked during development was the perturbation-based nature of the linear model. This limitation was discovered as a

result of the group's repeated inability to stabilize the aircraft model when the throttle loops were engaged. Because the model is only able to determine the next iteration of the aircraft flight path and dynamics, a designed throttle limit of 0 only allows the aircraft to maintain the current throttle setting, rather than decrease from its current state. The simple solution to this issue is to change the throttle setting limits from -25% to 75% throttle, allowing a full range of throttle control, yet adapting the model to overcome the software limitation. The resulting Simulink® longitudinal control model is shown in Figure 29.

Tuning the Proportional-Integral-Derivative (PID) control system in the model utilized a consecutive loop closure technique. The consecutive loop closure technique involves stabilizing the innermost loop to an impulse or step input, while leaving the remainder of the system open-loop. In order to quickly accomplish this, the manual switches shown in Figure 29 were used to open and close the loops as necessary. Upon determining a gain that will stabilize this first loop, in the longitudinal case the pitch rate, the next innermost loop is then closed and tuned, until all control gains have been tuned. With the inclusion of an integral gain on the middle loop, the expectation is that the aircraft will be able to track a specific pitch angle, and with the outermost loop, that it can track to a specific altitude. Due to the reliance of the outermost loops upon the inner loops, the consecutive loop closures technique is a very iterative process. Thus to accomplish the tuning with minimal iterations, a combination of root locus analysis and the Simulink® PID gain tuning analysis tool was used.

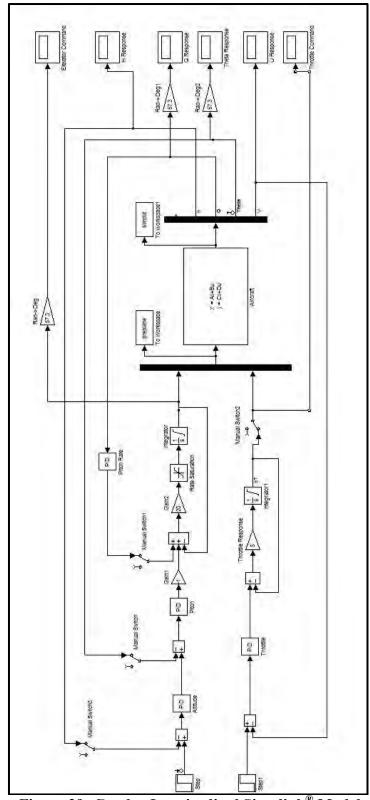


Figure 29: Condor Longitudinal Simulink® Model

Tuning of the innermost pitch rate loop resulted in the root locus shown in Figure 30. The proportional gain setting chosen allows for the short period poles to be ideally damped at roughly 0.707, with a predicted natural frequency of 8.21 radians/second (1.31 hz). The Phugoid poles can also be seen close to the origin in Figure 30, but at a much lower frequency and with far less damping than the short period poles.

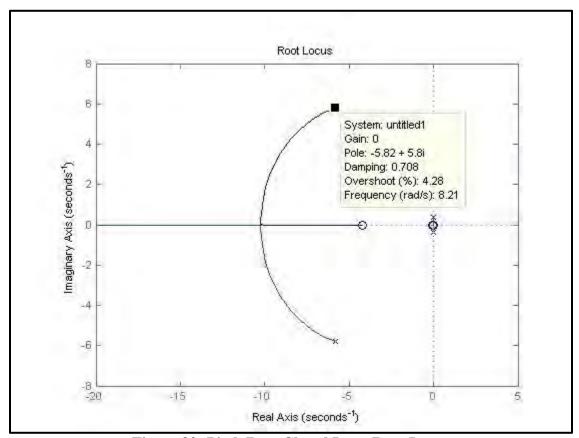


Figure 30: Pitch Rate Closed Loop Root Locus

The effects of the emphasis on the short period dampening and response can be seen clearly in the pitch rate step response plot of Figure 31. Although initial reactions to the step plot infer that the poles are clearly under-damped, the period of oscillations in the step response shows that the oscillatory behavior is being caused by the nearly unstable

Phugoid, or long-period oscillations, which are easily controlled with the outermost longitudinal control loops.

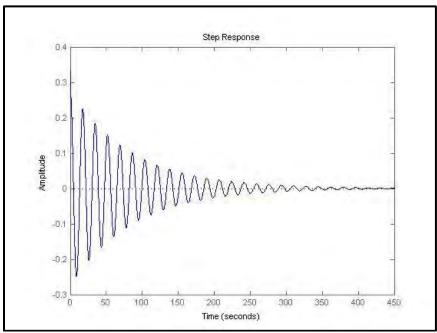


Figure 31: Pitch Rate Response to Elevator Step Input

Figure 32 shows the same step response plot in the first five seconds of response, where the short period response is shown to quickly respond and effectively dampen, while the Phugoid continues on in an under-damped harmonic motion. This response of the short period poles allows for sufficient confidence in the pitch-rate control to close the loop and move on to the pitch angle and altitude hold control loops.

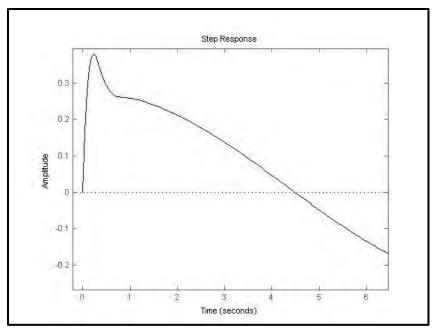


Figure 32: Short Period Pitch Rate Response to Elevator Step Input

Utilizing the Simulink® Control and Estimation Compensator Editor tool, the process of closing the two outer loops is significantly simplified. The Compensator Editor tool allows the user to simultaneously adjust the PID gains for both of the Pitch and Altitude hold controllers, while monitoring the desired output, in this case an altitude step of 100 feet. The compensator Editor can be seen in Figure 33, with the tuned step response following in Figure 34. After achieving a stable and correct steady state response to a 100 foot step command, the pitch proportional and integral gains were further adjusted to slow down the overall step response. The purpose of slowing the response is to ensure that the model provides enough of an error margin, since the model is not exact, the aircraft must remain stable for anticipated plant variations, even if this results in a slower response. Slowing the response too much can cause the autopilot to lag so far behind the aircraft that control actions will further propagate errors rather than correct them. Thus the objective of a 100 foot step in under 20 seconds, or a roughly 5ft/s

climb rate was established as a minimum climb rate. This objective was easily met, as shown in Figure 34.

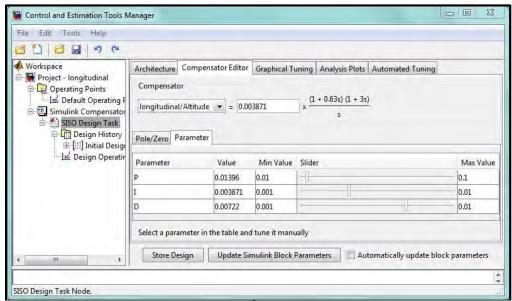


Figure 33: Simulink® Compensator Editor

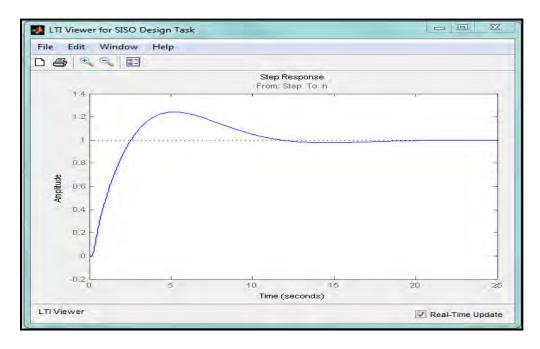


Figure 34: 100 Foot Altitude Command Step Response

3.4.2 Lateral/Directional Model

Development of the Lateral/Directional model encompasses the same procedures and techniques as the longitudinal model. The fundamental difference between the two processes is the incorporation of the aerodynamic coupling between the roll and yaw modes.

Model Development

The Lateral/Directional model development consisted of the generation of the lateral/directional parameters found in Table 4, as well as the refinement of the Nelson lateral/directional mathematical model in Equation 6. The addition of ailerons in the control scheme required alterations to the Stryker Owl model, which utilized the Kestrel® rudder-only control scheme. A simple alternative model was found in the Nelson and Stevens texts, which incorporates both ailerons and rudder, as well as the modeling of the aerodynamic coupling between them (Nelson, 1998;Stevens 2003). The resulting lateral/directional stability parameters are shown below in Table 8, and are used in conjunction with several of the universal parameters in Table 7 to form the Nelson mathematical model, shown in Equation 13 (Nelson 1998).

Table 8: Lateral/Directional Stability Derivatives

Parameter	Value
Cy_{β}	-0.31
Cy_p	0
Cl_p	-0.415
Cy _r	0
Cl_r	0.08
$Cy_{\delta a}$	0
Cn_{\deltaa}	-0.0258
$Cl_{\delta a}$	0.15
Cn _β	0.0529
Cl_{β}	-0.1307
Cn _p	-0.04
Cn _r	-0.045
$Cy_{\delta r}$	0.075
$Cn_{\delta r}$	-0.035
$Cl_{\delta r}$	0.003

$$\begin{bmatrix}
\Delta \dot{\beta} \\
\Delta \dot{p} \\
\Delta \dot{r} \\
\Delta \dot{\phi}
\end{bmatrix} = \begin{bmatrix}
-0.234 & 0 & -0.977 & 0.634 \\
-16.011 & -6.004 & 1.157 & 0 \\
4.964 & -0.443 & -0.499 & 0 \\
0 & 1 & 0 & 0
\end{bmatrix} \begin{bmatrix}
\Delta \beta \\
\Delta p \\
\Delta r \\
\Delta \phi
\end{bmatrix} + \begin{bmatrix}
0 & 2.876 \\
18.375 & 0.367 \\
-2.421 & -3.284 \\
0 & 0
\end{bmatrix} \begin{bmatrix}
\delta a \\
\delta r
\end{bmatrix}$$
(13)

Open-loop analysis of the lateral-directional stability shows that the aircraft model has inherent lateral stability. This is apparent in Figure 35, where the oscillatory Dutchroll mode poles and non-oscillatory spiral model pole are all located in the left-half plane. Of equal importance is the predicted damping ratio of the Dutch-roll root locus. Whereas the short period pitch poles were highly damped at roughly 0.8, the Dutch roll poles are shown with minimal natural dampening (ζ = 0.17) with infinite gain. Thus as the Jet5 static stability analysis alluded to, the aircraft will require tuning to correct for

insufficient tail surface volume. This problem is further amplified by the addition of the 15-foot wingtip extensions.

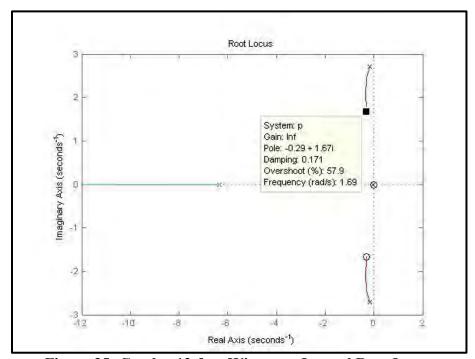


Figure 35: Condor 12-foot Wingspan Lateral Root Locus

Simulink® Analysis

The current release of the Kestrel[®] autopilot code has the ability to stabilize and navigate multiple configurations of aircraft, including traditional, V-tail, and rudder-only lateral control arrangements. The lateral-directional control loop structure for traditional aircraft configurations is considered proprietary by Procerus Technologies, and thus had to be independently developed. The basis for the model was found in Stevens' *Aircraft Control and Simulation* (2003). Figure 36 below shows the Stevens combined lateral/directional model for a wing-leveling autopilot system.

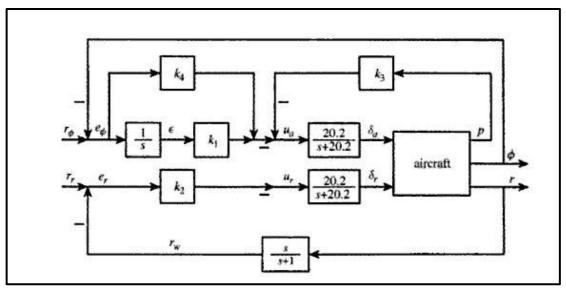


Figure 36: Stevens Wing-Leveler Control system (Stevens 2003)

Several modifications were required to further refine the Stevens model for practical use. The most important was the inclusion of actuator position and rate saturations. Saturations are generally detrimental to modeled stability, but essential for preserving the accuracy of the model for the real aircraft. Furthermore, the inclusion of manual switches allows for the independent analysis and tuning of the aileron controls and the rudder controls, without the coupled input effects of the non-monitored parameter, be it roll or yaw. Heading feedback control is not necessary as part of the model, as it is included as a feed-forward parameter, built into the internal Kestrel® code. The final Simulink® lateral/directional aircraft model used for the analysis of both the 12- and 15- foot Condor aircraft is shown below in Figure 37.

The consecutive loop closure technique was performed to tune the lateral/directional model in the same manner that it was used to tune the longitudinal model. The roll rate and yaw rate loop gains were determined based on the root locus of Figure 35, and then the Simulink® controller design tool was used to tune the roll position controller. An increased emphasis on allowing a sufficient gain margin was adopted when tuning the roll and yaw rate loops, due to potential excitations caused by the aerodynamic coupling between the two. This was in effect useless, as tuning results indicated that the aircraft would operate with more lateral stability without the use of a rudder than with a tuned feedback loop. This result is completely counter-intuitive, and multiple attempts to adapt the model to improve results were unsuccessful. Figure 38 and Figure 39 show the roll response and sideslip angle response to a 15-degree roll command to the aircraft without rudder input.

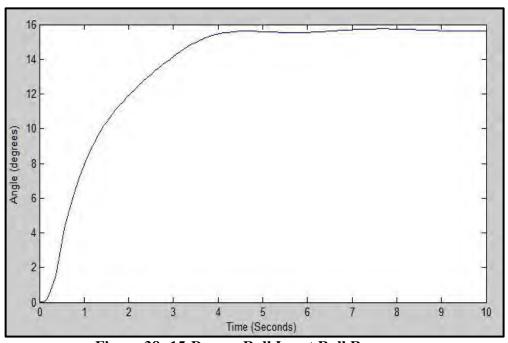


Figure 38: 15-Degree Roll Input Roll Response

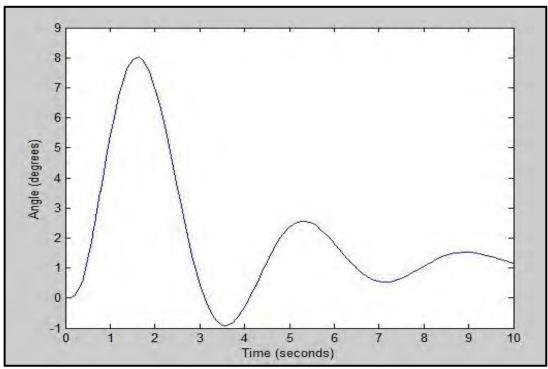


Figure 39: 15 Degree Roll Input Sideslip Angle Response

Although the output response above shows a significant sideslip of the aircraft following a commanded roll input, the steady-state response of both roll and yaw is stable, with a well damped roll response. Thus the tuned results above give enough confidence of stability in the lateral/directional modes using only roll feedback to satisfactorily assume a stable set of gains for initial flight testing.

3.5 Flight Test

Flight testing of the Condor aircraft involved of a series of grouped objectives, spanning over a planned flight test program of 5 flights per aircraft. The term "flight" indicates a set of objectives planned for a single aircraft launch; however, a flight could require several launches to accomplish all objectives reserved for that "flight." Several additional flights were made to meet secondary objectives after the initial stability and performance flights were complete. The flight test plans for all flight testing can be found in Appendix C.

3.5.1 Planned Testing Process

The five flight tests for each aircraft were designed to allow a conservative testing process, where the most important and least risk-prone objectives are accomplished prior to higher risk, lower importance objectives. This process is fully explained in English and Molesworth's *Concept Evaluation of a Remotely Piloted Aircraft Powered by a Hybrid-Electric Propulsion System* (English and Molesworth, 2012). The five planned flights for each aircraft were:

- 1. Remote Control only Aircraft basic flight maneuvers, no stability augmentation, flown at minimal flight weight
- 2. Stability Augmentation Tune rate control feedback loops for Stability Augmentation System (SAS)
- 3. Directional Control Tune altitude and heading controls to allow full autonomous flight
- 4. Open Loop Testing Disengage SAS, perform aircraft frequency response maneuvers to validate model
- 5. Performance flight Full autonomous flight to measure altitude tracking, fuel burn rates, and acoustic signatures

3.5.2 AC1 Process Changes

Miscommunication with the contracted operators of the AC1 testing process induced several major adjustments in the proposed flight plan. The result of these miscommunications was AC1 being flown on flight #1 with faulty stability control enabled, stability parameters from the SIG Rascal aircraft, and an additional gain of 100 added to all servo outputs. Flight 1 telemetry shows this 35-second flight reached attitudes that exceeded 120 degrees of roll, 85 degrees of pitch, 35 degrees of yaw, and resulted in a crash landing that broke the empennage free of the fuselage at the hinge pins. Following the repair of the empennage pins and a re-briefing of the contractors, the flight schedule resumed its intended progression. The major deviation from the original plan is that AC1 was flown with the SIG Rascal gain settings, with the additional gain of 100 removed, until a stable autonomous mode was accomplished. Figure 40 below shows the repaired AC1 airframe on landing approach.



Figure 40: AC1 In-Flight Photograph

3.5.3 AC2 Process Changes

The intended process for flight testing of AC2 was far more focused on the limitations and performance of the HE system. The basic airframe was at that time considered stable through the AC1 flight test process, provided that AC2 could develop equivalent thrust to AC1. The limited data available from the flight testing of AC2 suggests that this was not the case, as AC2 was unable to successfully launch.

3.6 Data Reduction and Model Refinement

The stream of telemetry data at 20 data points per second produced a complete data set for Airframe and model analysis. The major aspects that were investigated and compared relative to the predictive model were the short and long period longitudinal oscillations, flight operating airspeeds, and the overall stability of the lateral/directional aircraft modes in flight. This information was determined from the airspeed, altitude and heading data, as well as the pitch, roll, and yaw rates found in the Kestrel telemetry stream.

3.6.1 Longitudinal Modal Analysis

The process of evaluating the longitudinal modes consists of forcing the aircraft to oscillate at or near the predicted natural frequency, and monitoring the resulting frequency of response. The methods of exciting the oscillatory modes are found in Appendix A.

Phugoid Analysis

From the predictive model discussed in Section 3.4.1, the expected natural frequency of the Phugoid, or long period oscillations of the aircraft, are expected to occur at roughly 0.428 radian/second, or roughly 14.68 seconds per oscillatory cycle. Graphical analysis of Figure 41 below shows definitive peaks of an excited Phugoid mode following the initial excitation by a steady pull-up and release of the controls.

Determination of the damped natural frequency from this data is found by calculating an average time between the first two major peaks of the oscillatory response. The Phugoid mode was excited effectively three times in succession, with an average natural frequency output of 14.6 cycles per second. This is a 0.55% difference from the predictive Phugoid frequency.

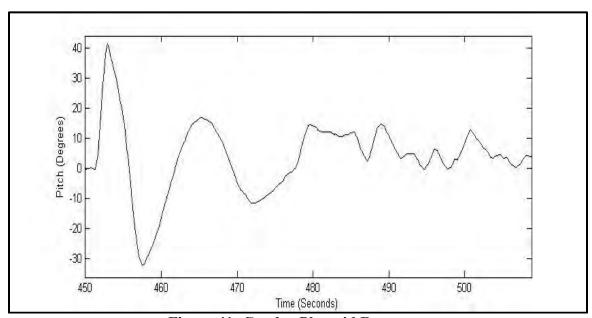


Figure 41: Condor Phugoid Response

Short Period Analysis

Excitation of the Short Period oscillatory mode is accomplished by a series of elevator "doublets" or continued forced oscillations of the elevator at the predicted frequency of approximately 7 radians/second, or 1.1 cycles of the elevator per second. The forcing of the aircraft can be seen in Figure 42 as the sharp repeated peaks from 235 to 255 seconds. The subsequent rounded peaks of the Short Period response are measured in the same manner as the Phugoid analysis, and averaged 3.5 seconds per cycle or 1.8 radians per second. This yields roughly a 75% error from the predictive values. Analysis of the forcing frequency shows that the pilot was able to correctly force the aircraft at the predictive frequency, yet the aircraft did not respond in the predicted manner.

The short period analysis test was completed a total of six times, with inconsistent results. Attempts to deduce the natural frequency by means of Fourier analysis of the flight were likewise inconclusive. Further testing was deemed unnecessary, as the test results were deemed valid, though the cause for inconsistent results remains unknown.

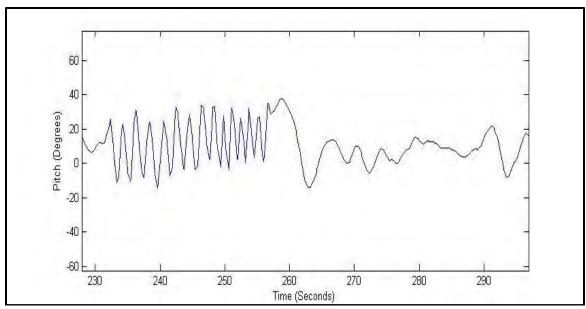


Figure 42: Condor Short Period Response

3.6.2 Operating Airspeed Analysis

Flight testing for the predicted airspeed values shown in Table 5 was accomplished in accordance with the flight test plan found in Appendix A. All airspeed values for AC1 were determined at an operating weight of 28 lbs, which is slightly lighter than the modeled weight, but not significant enough to cause drastic deviations. Further increases in vehicle weight, as is necessary for the test flights of AC2, will cause the resulting airspeed values to likewise increase proportionately. Aircraft stall speed was averaged over a series of seven tests, consisting of a idle throttle setting and slight upelevator until the aircraft experienced buffeting and broke into the stall. This can be seen in Figure 43 below.

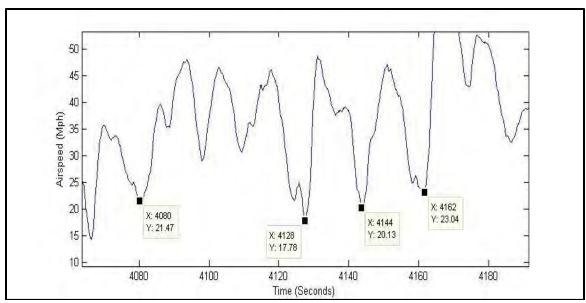


Figure 43: Condor Stall Test Airspeed Data

Takeoff airspeed was measured from the moment the Kestrel® autopilot recognized the aircraft in a flying state, and is an average of the individual airspeed reading for all aircraft takeoffs, including the variation of weight from 28 to 36 lbs.

Takeoff airspeed varied from 24 to 29 mph, with an average increase in airspeed of 0.5 mph per lb of weight added. Wind conditions heavily affected the ability of the aircraft to effectively navigate at the predictive loiter airspeeds. The asserted "best" loiter airspeed corresponds to the minimum airspeed in which the aircraft could effectively loiter in a 10-15 mph wind environment, as demonstrated in flight test. All tested airspeed data results are shown in Table 9, with the most efficient cruise and loiter airspeeds not attainable from the data collected.

Table 9: Condor AC1 Airspeeds

Description	on Airspeed	
Stall Airspeed	21.6 Mph (31.7 ft/s)	
Takeoff Airspeed	26.3 Mph (40.1 ft/s)	
Best Loiter	47.5 Mph (69.7 ft/s)	

3.6.3 Lateral Stability Evaluation

The lateral/directional stability was not investigated as thoroughly as the longitudinal, because it was not considered to be a stressing factor for the operational concept evaluation. The spiral mode was evaluated as described in Appendix A, and no tendencies for instability were found. Evaluation of the Dutch-roll mode found the aircraft to be particularly susceptible to the Dutch-roll mode, as was predicted by both the static and dynamic mathematical models. The frequency of the Dutch-roll mode was significantly slower than predicted, but was forced at a lower frequency than intended. Data from Figure 44 below shows the forcing and response frequency of 2.44 radians per second. The predicted natural frequency was 6.34 radians per second.

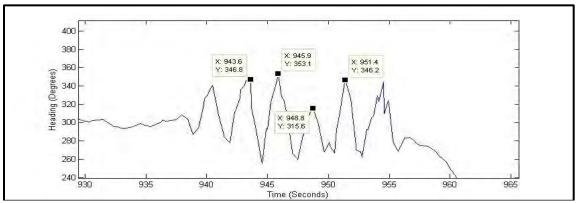


Figure 44: Condor Dutch-Roll Results

3.6.4 In-Flight Gain Tuning

The additional emphasis on aircraft test survivability following the crash on Flight #1 dictated the usage of the SIG Rascal PID gains developed by Nidal Jodeh, as they had been proven effective on a similarly-sized aircraft (Jodeh, 2006). In-flight aircraft telemetry provided streaming data, which enabled the ground crew to vary the PID gains on all aircraft settings to improve aircraft stability and handling. In flight adjustments to the SIG Rascal gains continuously approached those predicted in the Condor mathematical model throughout Flight #3, and were eventually changed out completely to the predictive gains for all subsequent flights, with significantly improved performance.

3.7 Aircraft Performance

Two major aspects of the aircraft proof of concept were additionally studied outside of the initial stability and control analysis on the Condor flight tests. The additional objectives were introduced after noting the very low fuel burn rates of the Honda 35cc engine. Due to the increased energy density of gasoline, it was suggested that efforts be made to reduce the acoustic signature of the aircraft, and additional fuel be added, in order to achieve long-loiter, near-silent operation without the use of a hybrid system. As a result, propellers with varying blade counts were investigated as an acoustic-reduction measure for the aircraft, as was accomplished on the Lockheed YO-3A "Quiet Star" in Vietnam (Army-Lockheed, 2004). As a general rule, for every additional blade added to an R/C propeller, the operator should decrease the span of the blade by an inch, and increase the pitch by an inch. Due to the limited range of pitch and

span of multi-blade R/C scale propellers in the commercial marketplace, compromises were made regarding the proportional scaling of propellers. Results of the performance and acoustic tests are displayed and explained in *Concept Evaluation of a Remotely Piloted Aircraft Powered by a Hybrid-Electric Propulsion System* (English and Molesworth, 2012).

3.8 Chapter Conclusion

Development and refinement of the mathematical model for the Condor Aircraft was an iterative and multi-disciplinary endeavor. The development of the model, as can likewise be seen in the vast majority of the S-RPA research, is highly dependent upon the available resources necessary to determine the fundamental stability parameters. The lack of wind-tunnel testing and detailed modeling available for small RPA aircraft significantly increases the error induced into the model. This can, however, be compensated for by the juxtaposition of parameters between similar airframes, as was done on the small scale for unknown Condor values.

4 Results

4.1 Chapter Overview

The flight testing of the Condor aircraft validates the accuracy and validity of the static and dynamic models for use in Small Remote-Piloted Aircraft. Use of the Jet5 software tool to predict basic flight stability parameters led to the development of a useful mathematical model, providing for simple in-air stability tuning with very favorable results.

4.2 PID Tuning Results

Section 3.6.4 details the process by which the SIG Rascal gains were sequentially adapted to provide for a stable flight performance of AC1. The fundamental SIG gains are shown below in Table 10.

Table 10: SIG Rascal PID Gains

Parameter	Description	Gain
K_p^Q Pitch Rate Proportional Gain		0.2
$K_p^{ heta}$	Pitch Angle Proportional Gain	1.1
$K_I^{ heta}$	Pitch Angle Integral Gain	.01
K_p^H	Altitude Proportional Gain	0.02
K_I^H	Altitude Integral Gain	0.002
K_D^H	Altitude Derivative Gain	0.005
K_p^T	Throttle Proportional Gain	2.0
K_I^T	Throttle Integral Gain	1.0
K_D^T	Throttle Derivative Gain	2.0
K_p^P	Roll Rate Proportional Gain	0.03
K_P^{ϕ}	Roll Angle Proportional Gain	0.3
K_I^ϕ	Roll Angle Integral Gain	0.001
K_P^R	Yaw Rate Proportional Gain	0.1

Throughout the process of flight testing, these gains were slowly adapted until they approached the predictive model gains. At this point, all fundamental longitudinal and lateral/directional gain values were changed to the predictive values shown below in Table 11. Further attempts to improve flight stability were insignificant in result, as the magnitude of in-flight fluctuations exceeded that of the control input responses.

Table 11: Condor AC1 Final PID Gains

Parameter	Description	Gain Value
K_p^Q	Pitch Rate Proportional Gain	0.0664
$K_p^{ heta}$	Pitch Angle Proportional Gain	0.490
$K_I^{ heta}$	Pitch Angle Integral Gain	0.0416
K_p^H	Altitude Proportional Gain	0.0140
K_I^H	Altitude Integral Gain	0.004
K_D^H	Altitude Derivative Gain	0.007
K_p^T	Throttle Proportional Gain	10
K_I^T	Throttle Integral Gain	1
K_D^T	Throttle Derivative Gain	0.5
K_p^P	Roll Rate Proportional Gain	0.3349
K_P^ϕ	Roll Angle Proportional Gain	0.4123
K_I^ϕ	Roll Angle Integral Gain	0.02
K_P^R	Yaw Rate Proportional Gain	0.15

4.3 Simulated Model Performance

Despite the rather minor changes made to the PID gain values, a significant improvement in aircraft dynamic performance was achieved by adaptation of the modeled gains. A comparative parameter was developed to analyze the flight test periods where the SIG Rascal gains were in complete control of the aircraft, and when the tuned gains were in control. The deviation between the commanded control surface deflection

and actual control surface deflection was calculated at each autonomous data point, and labeled the "model error." This is demonstrated below in Figure 45.

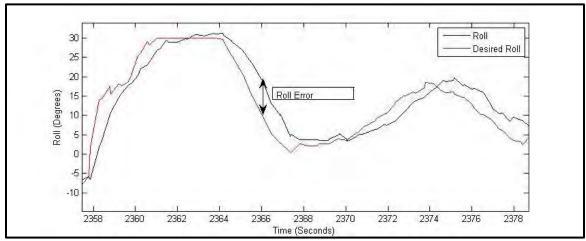


Figure 45: Model Error Analysis

Averaging the position model error for the two different sets of gains showed a significant improvement in roll and altitude errors when the predictive gains were entered. Table 12 lists the calculated average errors over several minutes of autonomous flight, as well as the percent reduction in error achieved by the tuned predictive gains.

Table 12: PID Gain Model Error Comparison

	Roll Error (Deg)	Pitch Error (Deg)	Altitude Error (Ft)
SIG Rascal Gains	3.106	0.820	7.251
Tuned AC1 Gains	1.734	0.782	5.678
% Improvement	44.08 %	4.64 %	21.69%

The significance of this error reduction is far more apparent in flight as it resulted in a reduction of the time delay between the commanded input and the actual aircraft response. A human pilot is expected to have a typical response time, from sensory to

response, of roughly 0.25 seconds (Stevens, 2003). This response time, however, is for a manned aircraft pilot, which is far faster than the average response time of a remote pilot. The average time delay between the commanded response and the actual response in Figure 45 far supersedes the human standard, at 0.16 seconds. The combination of the improved control response and fast response time allowed the tuned Condor aircraft to fly in a far more stable manner than while under pilot control, or with the SIG rascal gains.

4.4 Open-Loop Characterization and Model Adaptation

The differences previously noted in the offset of the short period response were investigated extensively. Initial hypotheses pointed to miscalculations in either the aircraft pitching Moment of Inertia, or pitching moment coefficients. Specifically, the coefficients $C_{M\alpha}$ and C_{Mq} , the moments due to angle of attack change and pitch rate. The aircraft pitching Moment of Inertia was investigated first, particularly due to the inability to measure the aircraft MOI with the main wing attached. Despite this deficiency, scaling of the aircraft weight and performance to the other aircraft in Table 6 suggests that the MOI data taken for the aircraft model was in fact accurate, and that the miscalculation must have occurred in the aerodynamic calculations.

The variable $C_{M\alpha}$ describes the change in moment that occurs with a corresponding change in aircraft angle of attack. This parameter is generally dependent upon the airfoil shape and position, but is also characterized by the time rate of change of the moment, $C_{M\alpha}$. The derivative value, however, varies proportionately with the value of

 C_{Mq} , which is the second suspect parameter chosen for error analysis. C_{Mq} is based highly upon the tail lifting surface efficiency and moment arm. The vast majority of parameters that go into calculation of C_{Mq} are based on the defined geometric distances and wing areas of the aircraft, leaving only the tail efficiency factor, which was previously set to 0.809, as suggested in Nelson (1998). Further analysis using the combined Jet5-Nelson model was unable to achieve the natural frequency demonstrated in the flight test.

The final possibility for the inability to model the aircraft short period modes is the notion that the Condor wings and tail section are further increasing the dampening of the natural pitching modes. Excessive dampening caused by the large wingspan could potentially account for the inability to effectively excite the short period mode. This infers that the frequencies calculated from the flight test data were secondary or tertiary harmonics of the true short period frequency, or the short-period frequency was damped with a ζ_{sp} value of nearly 0.98. These two conclusions are likewise based on the assumption that the test pilot was successful in excitation of the actual aircraft short-period mode.

4.4.1 Throttle Changes between AC1 and AC2

Throttle PID tuning and analysis for AC2 was unavailable, as AC2 was lost on the second takeoff attempt. After roughly 150 feet of takeoff roll, the right main wheel of the aircraft detached, causing the aircraft to skid down an embankment at Camp Atterbury, eventually careening into the grass. The damage sustained by the aircraft was extensive enough to eliminate the possibility of further flight testing without extensive repairs to the fuselage and wing collar. Perceived differences in the takeoff roll comparison of AC1

and AC2 point to a lack of available thrust on the AC2 takeoff attempts. This was apparent in the differences in both the audible propeller noise, as well as the distance required for takeoff between the two aircraft.

4.5 Chapter Conclusion

Flight test results from the AC1 and AC2 tests demonstrate that a high level of accuracy was achieved in the modeling process for the aircraft. The Jet5 and static parameterization was able to predict the Phugoid mode to within 1% of the actual value. Likewise the PID tuning process used with the developed Simulink® model was able to effectively reduce the system time delay and increase autopilot response by up to 45% without the need for additional in-flight tuning.

5 Conclusions and Recommendations

5.1 Chapter Overview

The overall results of the Condor modeling and tuning process indicate a very successful integration of previous S-RPA modeling methods with the Jet5 Software tool. Without further tuning or adaptation, the Condor airframe is capable of flying with the determined gains in a stable and efficient manner for periods of up to two hours. This time period could be easily extended to up to seven hours with the inclusion of additional fuel tanks and batteries (English and Molesworth, 2012). The modeling process was able to bring forth several important characteristics of the aircraft-model combination that demand further investigation.

5.2 Evaluation of Methodology

Adoption of the Jacques/Stryker dynamic aircraft model provided a very efficient template to start the dynamic analysis predictions. Further integration and comparison with the Nelson model and previous S-SPA parameterization allowed for coarse verification of the aircraft parameters. The overall result of this multi-faceted approach was success in the mathematical modeling of the Condor. Indication of this success were found in the marked improvement in flight performance and an inability to further improve PID gains in-flight to achieve better results.

The one major shortcoming of the process was the inability to predict the short-period response. This problem was likewise exhibited in the Stryker analysis of the AFIT OWL longitudinal model, where there was noted a significant inability to effectively model the short period mode or track to determined altitudes or pitch settings. The additional fuselage length and higher pitching MOI were most likely beneficial to the Condor in allowing for a more efficient natural dampening of the airframe, allowing the aircraft to not exhibit the multiple longitudinal complications experienced in the Stryker analysis. The inclusion of and comparison to the Jodeh, Nelson, NPS and Stevens aircraft stability derivatives potentially further diluted any inherited errors (Jodeh, 2006; Nelson, 2003; Choon Seong 2008; Stevens, 2003)

The inability to effectively predict the rudder interconnect to the aileron control was overcome by small in-flight tuning procedures. The modeling approach, however, was ineffective in predicting the rudder control, as the final PID gain utilized in-flight is shown as a destabilizing value in the model. This performance disconnect is more than likely an error in the model, but corrected, and not observable in the proprietary feed-forward parameters in the Kestrel[®] autopilot code.

Modifying the model to incorporate the full HE system involved very few necessary changes to the PID gains or aircraft model. The foresight of the systems engineering approach to fly AC1 at the predicted weight and balance of AC2 eliminated necessary model changes due to weight or loading changes. The only parameter that required investigation was throttle command PID gains, due to scaling differences

between the two aircraft propulsion systems. The predicted changes were minimal due to the lack of fidelity in the Kestrel[®] input command for throttle, and masking nature of the Kestrel[®] code, but were unable to be accurate investigated with the loss of AC2.

5.3 Significance of Research

The modeling and tuning process of the Condor aircraft is significant due to the amalgamation of modeling programs and previous research utilized. Utilizing the manufacturer-provided data in conjunction with Jet5, Digital DATCOM and previous S-RPA data allowed for the dilution of errors found in a single method. This process also enabled a further refinement of modeling parameters based on scaling when wind tunnel testing and aeronautical testing are feasible or available.

5.4 Recommendations for Future Research

The Condor research developed several key areas with problems requiring future research and analysis. Continued development in the following areas would allow for a further increase in the utility for Condor aircraft, as well as the field of S-RPA modeling as a whole.

In order to investigate potential errors in short-period eigenvalue prediction a comparative evaluation of the mathematical models used in the AFIT Condor, OWL and BATCAM models should be performed. The lineage of AFIT aircraft mis-predicting and failing to effectively model the short-period modes can be traced back to the start of use

of the Kestrel autopilot, and the derivation of the Jacques A-4 model for use with AFIT S-RPA and MAVs. An evaluation of the techniques used to scale the Jacques model would be incredibly beneficial in determining the source of the longitudinal errors.

The inexplicable high dampening of the Condor short-period oscillations indicated either model flaws or non-linear effects. The primary candidate for further analysis of non-linear dampening effects is the flexing of the wings. The single aluminum spar and foam core wing sections allowed for nearly 10 degrees of dihedral when the aircraft was loaded to the AC2 flying weight. Further investigation of this potential phenomenon could very well explain the discontinuities between model and flight results.

The Kestrel Autopilot is a user-friendly system for flying S-RPAs in military and other environments that require secure communications. That being said, the proprietary nature of the Kestrel[®] code and significant cost of the system make it less than ideal for use in academic applications, where the free analysis of data and adaptation is critical for continued progress. The inability to access the feed-forward parameters, access the actual Kestrel[®] control diagram, or change the processes involved in the PID control significantly inhibit the user and developer's ability to openly and honestly evaluate an airframe. The most significant problem is the considerable masking of erroneous user inputs. Switching to an open-source autopilot, such as an Ardupilot or OpenPilot system, would not only eliminate the coding limitations of proprietary software, but allow for true aircraft responses, at less than one-tenth of the cost of the Kestrel[®].

5.5 Summary

The work detailed in this thesis demonstrates the iterative process of fusing multiple sources at each step of the modeling process. The continuous juxtaposition of aircraft parameters and stability values with multiple sources throughout the process proved to be an effective practice for successful determination of a mathematical model that emulates actual aircraft performance. The successful modeling of the Condor allowed for significant development in S-RPA longevity and acoustic data for mission-type analysis, as well as an aircraft characterization process that can expedite the modeling and tuning for future parallel HE-RPA projects.

Appendix A Kestrel Telemetry Parser

```
% MatlabTelemParser.m
% Version: 1.0.1
% Author: Neil Johnson, Procerus Technologies
% Description: This file can be used with Matlab or Octave to
% parse standard telemtry files saved by the Virtual Cockpit.
% Instructions: Load the telemetry file into Matlab and then run
% this script. A list of variables will be printed out to the
% terminal. You can then plot any of the variables using the
% 'time' variable as follows:
% plot(time, varname1, 'b', time, varname2, 'r')
% You can also modify and copy the contents of this file into the top
of
% any file created to parse Virtual Cockpit telemetry.
%Updated 9/27/2011
% 1) Velocities Converted to Miles Per Hour From M/s
% 2) Distances and Altitudes Converted to Feed from Meters
% 3) Angles and Angular Rates Converted to Deg and Deg/s From Rad and
% 4) Time Variable Parsed from reletive start time.
AlreadyLoaded = exist('telemetry', 'var');
if AlreadyLoaded == 0
       [File, FilePath, FilterIndex] = uigetfile();
       TelemetryIn = [FilePath, File]
       run (TelemetryIn)
elseif AlreadyLoaded == 1
   reply = upper(input('There is already Telemetry in the Workspace.
\n Do you want to use this data? Y/N, or <esc> to cancel: [N] ', 's'));
   if isempty(reply)
       reply = 'N';
   end
   if reply == 'N'
       clear telemetry;
       [File, FilePath, FilterIndex] = uigetfile();
       TelemetryIn = [FilePath, File];
       run(TelemetryIn)
   end
end
   nheader string = regexprep(telemetry.heading,'\W',''); %Begin
original Procerus code.
   fprintf(1, 'New Variable Names:\n');
    j = 0;
for i=1:length(nheader string);
   fprintf(1, '%s\n', nheader string{i});
```

```
% Parse the UTC times correctly
    if strfind(nheader string{i}, 'UTCTime') > 0,
        % Parse the STD TELEM UTC Time
        s = [nheader string{i} ' = telemetry.data(:, ' num2str(i+j) ':'
num2str(i+j+5) ');'];
        j = j+6;
    else
        s = [nheader string{i} ' = telemetry.data(:,' num2str(i+j)
');'];
    end
    eval(s);
end
%Converting Speeds to MPH
Airspeed=Airspeed*2.23693;
DesAirspd=DesAirspd*2.23693;
GPSVelocity=GPSVelocity*2.23693;
WindSpd=WindSpd*2.23693;
%Converting Altitudes and Distances to Feed
Altitude=Altitude*3.2808;
DesAlt=DesAlt*3.2808;
DistancetoTarget=DistancetoTarget*3.2808;
GPSAlt=GPSAlt*3.2808;
%Converting Radians to Degrees
rd = 57.3
Pitch=Pitch*rd;
PitchRate=PitchRate*rd;
YawRate=YawRate*rd;
Roll=Roll*rd;
RollRate=RollRate*rd;
ServoAileron=ServoAileron*rd;
ServoRud=ServoRud*rd;
ServoElev=ServoElev*rd;
TurnRate=TurnRate*rd;
DesRoll=DesRoll*rd;
DesPitch=DesPitch*rd;
DesHdg=DesHdg*rd;
Heading=Heading*rd;
for n=1:length(RelativeTimems)
    time(n) = (RelativeTimems(n) -RelativeTimems(1)) *0.001;
end
```

Appendix B ERAU 3-d DATCOM Viewer Matlab Code

```
%**ERAU 3-D Viewer************************
% The source code contained herein was developed for Embry-Riddle
% Aeronautical University by Glenn P. Greiner, Professor and Jafar
% Mohammed, Student Assistant of the Aerospace Engineering Department,
% Daytona Beach Campus. Copyright 2008. All rights reserved.
% Although due care has been taken to present accurate programs this
% software is provided "as is" WITHOUT WARRANTY OF ANY KIND, EITHER
% EXPRESSED OR IMPLIED, AND EXPLICITLY EXCLUDING ANY IMPLIED WARRANTIES
% OF MERCHANTABILITY OR FITNESS FOR A PARTICULAR USE. The entire risk
% to the quality and performance of the software is with the user. The
% program is made available only for education and personal research.
% may not be sold to other parties. If you copy some or all of the
% software you are requested to return a copy of any source additions
% you believe make a significant improvement in its range of
application.
% datcom3d v1.2 Input File
clear
clc
clf
%%% VISUALIZATION and RESOLUTION
%0 = Shaded model
wframe = 1;
              %1 = Wireframe model (default)
fusres = 20;
             %Fuselage resolution
              %Wing, HT, VT resolution
wares = 20;
%%% (DO NOT CHANGE VALUES IN THIS BOX)
XW=0; ZW=0; ALIW=0; XH=0; ZH=0; ALIH=0; XV=0; ZV=0; YV=0; numVT=1; VERTUP=1;
NX=0; X=zeros(20); S=zeros(20); R=zeros(20); ZU=zeros(20); ZL=zeros(20);
CHRDR WG=0; CHRDBP WG=0; CHRDTP WG=0; SSPN WG=0; SSPNOP WG=0; SAVSI WG=0;
```

```
SAVSO WG=0; CHSTAT WG=0; DHDADI WG=0; DHDADO WG=0; TC WG=.12;
을 응
CHRDR HT=0; CHRDBP HT=0; CHRDTP HT=0; SSPN HT=0; SSPNOP HT=0; SAVSI HT=0;
SAVSO HT=0; CHSTAT HT=0; DHDADI HT=0; DHDADO HT=0; TC HT=.12;
CHRDR VT=0; CHRDBP VT=0; CHRDTP VT=0; SSPN VT=0; SSPNOP VT=0; SAVSI VT=0;
SAVSO VT=0; CHSTAT VT=0; TC VT=.12;
SPANFI F=0; SPANFO F=0; CHRDFI F=0; CHRDFO F=0; DELTA F=0;
SPANFI A=0; SPANFO A=0; CHRDFI A=0; CHRDFO A=0; DELTAL A=0; DELTAR A=0;
SPANFI E=0; SPANFO E=0; CHRDFI E=0; CHRDFO E=0; DELTA E=0;
%%% INPUT PARAMETERS BELOW
% SYNTHS parameters
% BODY parameters
% WING parameters (add suffix " WG" to variables)
% WING FLAPS (add suffix "F" to variables)
% WING AILERONS (add suffix " A" to variables)
% HORIZONTAL TAIL parameters (add suffix " HT" to variables)
% ELEVATOR (add suffix " E" to variables)
% VERTICAL TAIL parameters (add suffix " VT" to variables)
% For twin vertical tails, you need to define:
  numVT - number of vertical tails (for twin VT, should be 2)
      YV - distance from FRL to stb. VT vertex
%%% PLOTTING
warning off MATLAB:divideByZero
hold on
plotFuselage(NX, X, S, R, ZU, ZL, fusres)
plotWing(XW,ZW,ALIW,CHRDR WG,CHRDBP WG,CHRDTP WG,SSPN WG,SSPNOP WG,SAVS
I WG, SAVSO WG, CHSTAT WG, DHDADI WG, DHDADO WG, ...
SPANFI F, SPANFO F, CHRDFI F, CHRDFO F, DELTA F, SPANFI A, SPANFO A, CHRDFI A,
CHRDFO A, DELTAL A, DELTAR A, TC WG, wgres)
```

```
plotHT(XH,ZH,ALIH,CHRDR HT,CHRDBP HT,CHRDTP HT,SSPN HT,SSPNOP HT,SAVSI
HT, SAVSO HT, CHSTAT HT, DHDADI HT, DHDADO HT, ...
      SPANFI E, SPANFO E, CHRDFI E, CHRDFO E, DELTA E, TC HT, wgres)
plotVT(XV,YV,ZV,CHRDR VT,CHRDBP VT,CHRDTP VT,SSPN VT,SSPNOP VT,SAVSI VT
,SAVSO VT,CHSTAT VT,VERTUP,TC VT,wgres)
if numVT > 1
   plotVT(XV,-
YV, ZV, CHRDR VT, CHRDBP VT, CHRDTP VT, SSPN VT, SSPNOP VT, SAVSI VT, SAVSO VT,
CHSTAT VT, VERTUP, TC VT, wgres)
end
%%% VIEWPORT/FIGURE PROPERTIES
if wframe == 0
   colormap([0 0 1])
                           %Set a/c to blue
   shading interp
                          %Interpolated shading
   lighting gouraud
                          %Smooth airplane mesh
                           %Apply a light source
   %camlight right
   %Custom Lighting Options, Note: [X Y Z]
   light('Position',[1 -2 1],'Style','infinite');
   light('Position',[1 2 1],'Style','infinite');
   light('Position',[0 0 -6],'Style','infinite');
else
   colormap([1 1 1])
                           %Set a/c to white
end
axis off
                           %Turn off axis
                           %Correct aspect ratio
axis equal
%camva(4.5)
                           %Zoom in a/c to fit figure
view(3)
                           %Apply initial viewport rotation
%camproj('perspective') %Perspective viewing (not R2006a
compatible)
rotate3d on
                           %Rotate icon enabled at start up
%showplottool('plotbrowser') %Enable the plot browser on startup
set(gcf,'NumberTitle','off','Name','Aircraft Plot','Color',[1 1 1]);
```

Appendix C Condor Flight Test Cards

FT-01: CONDOR Manual Flight Handling Qualities Test Card

Preconditions:

Autopilot installation and ground configuration procedures accomplished as described in Section 1 through Section 2.1 of the Procerus Installation and Configuration Guide Document Version 2.0, dated 10/27/08. CONDOR pre-flight procedures complete.

Configuration:

86

Base airframe, ½ tank fuel, ~20-lb, R/C only mode

Note: Mission requires a safety pilot (SP), and operator (O). The entire flight will be conducted in RC Mode

Objective:

1. Determine aircraft performance under manual RC mode

FT-01: PROCEDURES Dur: 30 min

FT-01	: PROCEDURES	Notes:	Dur: 30 min
	Basic Response		
1.	SP: Switch to RC Mode		
2.	O: Verify RC Mode (control boxes grayed out) and in "Manual Mode"		
3.	O: Perform Launch Checklist		
4.	SP: Trim the CONDOR for level flight at 700 ft		
5.	O: Verify the GPS maintains lock		
6.	O: Verify the airspeed and altitude values in the artificial horizon are reasonable values		
7.	O: Verify the roll, pitch, and heading angles shown in the artificial horizon are reasonable. (may need to instruct SP to bank and change heading)		
8.	SP: Vary throttle response from trim to 100%		
9.	SP: Perform left and right rolls, vary from ~10 deg to 60 deg,, vary throttle as needed		
10.	SP: Perform yaw maneuvers, vary from 5 deg to 20 deg, vary throttle as needed		
11.	SP: Perform pitch maneuvers, vary from \pm 5 deg to 30 deg, vary throttle as needed	Response:	
12.	SP: Perform coordinated flight maneuvers, note response, vary throttle as needed		
13.	SP: Recover CONDOR to trimmed level flight at 700 ft, Record SP		

FT-01: PROCEDURES	Notes:	Dur: 30 min
23. SP: Land aircraft		

FT-02: CONDOR First Flight PID Tuning Test Card

Preconditions:

Autopilot installation and ground configuration procedures accomplished as described in Section 1 through Section 2.1 of the

Procerus Installation and Configuration Guide Document Version 2.0, dated 10/27/08. CONDOR pre-flight procedures complete.

Configuration:

89

Base airframe, ½ tank fuel, 30-lb

Note: Mission requires a safety pilot (SP), and operator (O). The entire flight will be conducted in RC Mode

Objective:

2. Trimming the aircraft and finding reasonable values for trim airspeed, trim throttle, and trim angle of attack.

Notes: Dur: 10 min FT-02: PROCEDURES 24. O: Disable rate damping PID Loops, navigate to the F5 Settings page > **Autopilot Config > Mode Configuration > RC Mode > PID Loops** (Level I Loops). Uncheck all rate boxes 25. SP: Switch to RC Mode 26. **O:** Verify RC Mode (control boxes grayed out) and in "Manual Mode" 27. **O:** Perform Launch Checklist 28. **SP:** Trim the CONDOR for level flight 29. **O:** Verify the GPS maintains lock 30. **O:** Verify the airspeed and altitude values in the artificial horizon are reasonable values 31. **O:** Verify the roll, pitch, and heading angles shown in the artificial horizon are reasonable. (may need to instruct SP to bank and change heading) 32. SP: Fly an obit (less than 30 degrees of bank) at constant altitude and airspeed 33. O: Navigate to the Calibration screen in Virtual Cockpit F5 Settings page > Calibration 34. **O:** Click "Request" in the airspeed calibration window. Note the Bias error

FT-02: PROCEDURES	Notes: Dur: 10 min	
	The values from the Commbox column are added to the biases because the trims are now stored on the autopilot.	

FT-03: CONDOR Open-Loop Maneuvers Test Card

Preconditions:

Autopilot installation and ground configuration procedures accomplished as described in Section 1 through Section 2.1 of the Procerus Installation and Configuration Guide Document Version 2.0, dated 10/27/08. CONDOR pre-flight procedures complete.

Configuration:

94

Base airframe, ½ tank fuel, 30-lb

Note: Mission requires a safety pilot (SP), and operator (O). The entire flight will be conducted in RC Mode

Objective:

3. Determine response to manual inputs in order to validate open-loop model

F	T-03: PROCEDURES	Notes:	Dur: 30 min
	Pitch Response		
	55. O: Navigate to Settings > Data Logs , select desired Pitch parameters for recording. Ensure data logger in Virtual Cockpit is properly configured for data acquisition		
	56. SP: Switch to RC Mode		
	57. O: Verify RC Mode (control boxes grayed out) and in "Manual Mode"		
	58. O: Perform Launch Checklist		
	59. SP: Trim the CONDOR for level flight at 700 ft		
	60. O: Verify the GPS maintains lock		
	61. O: Verify the airspeed and altitude values in the artificial horizon are reasonable values		
	62. O: Verify the roll, pitch, and heading angles shown in the artificial horizon are reasonable. (may need to instruct SP to bank and change heading)		
	63. O: Navigate to the Settings > Autopilot Config screen (under Trims, Slews, and Feed Forward) and observe enter the Trim Airspeed, Trim Throttle, and Trim Angle of Attack (Pitch) [the trim angle of attack needs to be converted to radians (degree value / 57.3)]		
	64. O: Record maneuver start time, start data logging		
	65. SP: Perform pitch doublet	Trim Airspeed:	_
	66. SP: Recover CONDOR to trimmed level flight at 700 ft		

T-03: PROCEDURES	Notes:	Dur: 30 min
67. O: Observe AoA/Pitch response, save m-file	Trim Throttle:	
	Trim AoA:	_
Determine Dutch Roll Natural Frequency Determine Dutch Roll Damping Factor	Time:	
68. O: Navigate to Settings > Data Logs, select desired Roll & Yaw parameters for recording. Ensure data logger in Virtual Cockpit is properly configured for data acquisition		
69. O: Verify the GPS maintains lock		
70. O: Verify the airspeed and altitude values in the artificial horizon are reasonable values		
71. SP: Perform rudder doublet – right then left to the stops		
72. SP: Recover CONDOR to trimmed level flight at 700 ft		
73. O: Observe the number of overshoots in Virtual Cockpit display		
74. O: Record time between peaks		

Time to Recovery or Time to Double

97

85. SP: Release controls and allow deviation to occur

86. SP: Recover aircraft at either 40kts, 60 degree bank, or 15 seconds after

FT-03: PROCEDURES	Notes:	Dur: 30 min	
start	(right):		
87. SP: Recover CONDOR to trimmed level flight at 700 ft			
88. O: Record time to recovery			
FT-04: CONDOR Second Flight PID Tuning Test Card	•		

Preconditions:

Autopilot installation and ground configuration procedures accomplished as described in Section 1 through Section 2.1 of the Procerus Installation and Configuration Guide Document Version 2.0, dated 10/27/08. FT-01: CONDOR First Flight PID Tuning Test Card complete.

Configuration:

98

Base airframe, ½ tank fuel, 30-lb

Note: Mission requires a safety pilot (SP), and operator (O).

Objective:

1. The purpose of the second flight is to tune the rate damping servo loops. The rate damping PID loops damp the aircraft rotation around the pitch, roll, and yaw axis. Lar

	FT-04: PROCEDURES	Notes:	Dur: 20 min
	Tuning Yaw Rate PID loop (Rudder only) Yaw Rate Kp		
	89. O: Disable rate damping PID Loops, navigate to the F5 Settings page > Autopilot Config > Mode Configuration > RC Mode > PID Loops (Level I Loops). Uncheck all rate boxes		
	90. SP: Switch to RC Mode		
	91. O: Verify RC Mode (control boxes grayed out) and in "Manual Mode"		
	92. O: Perform Launch Checklist		
)	93. SP: Re-trim the CONDOR for level flight (if necessary)		
	94. SP: Maintain altitude and keep the airspeed near the trim airspeed found in Flight 1		
	95. O: Navigate to (F5) Settings > PID Values screen. Enter .005 for Yaw Rate Kp.		
		Trim Airspeed from Flight #	41:
	96. O: Click the "Use Desired" check box under Tuning97. O: Enter zero for the desired roll angle. The desired turn rate should also	For most aircraft this value is between umber is in radians of rudder deflet yaw rate error.	

	FT-04: PR	OCEDURES	Notes:	Dur: 20 min
		O: Verify by observing the HSI that the aircraft actual roll angle is zeen 10 and 20 degrees. Aircraft should be turning right. Record the al roll rate.	You may try a higher bank angle if desired.	
101	105. angl	O: Command a 15 degree left bank (enter -15 in the desired roll le box). Verify the aircraft turns left on the HSI.		
	106. 107.	O: Command 0 degrees bank to return the aircraft to level flightO: Save the gains values to file with an incremented file name		
			For most aircraft this value is between .005 an number is in radians of rudder deflection per r roll rate error.	

	FT-04: PF	ROCEDURES	Notes:	Dur: 20 min
			As Kp is increased, the aircraft should around the roll axis. Use pilot feedback aircraft is becoming more damped around Roll Rate Kp:	ck to verify that the
	Tuning Ro	ll Rate PID loop (Roll Rate Kp)		
102	108.	SP: Switch to RC mode		
	109. Mo	O: Verify RC Mode (control boxes grayed out) and in "Manual de"		
	110. four	SP: Maintain altitude and keep the airspeed near the trim airspeed nd in Flight 1		
	111. Loo	O: Check "Roll Rate" and un-check "Yaw Rate" under Level 1 ups and ensure all other loops are unchecked		
	112.	O: Click "Upload loops"		
	113. Rol	O: Navigate to (F5) Settings > PID Values screen. Enter .005 for l Rate Kp.		

Tuning Pitch Rate PID loop (Pitch Rate Kp)

- 104 118. **SP:** Switch to RC mode
 - 119. **O:** Verify RC Mode (control boxes grayed out) and in "Manual Mode"
 - 120. **SP:** Maintain altitude and keep the airspeed near the trim airspeed found in Flight 1
 - 121. **O:** Check "Pitch Rate, Roll Rate, and Yaw Rate" under Level 1 Loops and ensure all other loops are unchecked
 - 122. **O:** Click "Upload loops"
 - 123. O: Navigate to (F5) Settings > PID Values screen. Enter .005 for Pitch Rate Kp.

FT-04: PROCEDURES

Notes:

Dur: 20 min

- 124. **SP:** Disable RC Mode
- 125. **O:** Verify UAV Modes are not "grayed out" and Manual mode is green
- 126. **O:** Tune the Pitch Rate loop by increasing **Pitch Rate Kp** slowly **(.05 increments)** Increase the value of Pitch Rate Kp until small instabilities are noted in pitch and then lower the value by 25% (instabilities should go away). Record the Pitch Rate Kp Value.

- 127. Save the gains values to file with an incremented file name
- 128. Land the CONDOR leaving power "ON"
- 129. **O:** "Update Flash"
- 130. **O:** Navigate to the **Autopilot Config > Mode Config > RC Mode** in Virtual Cockpit.
- 131. **O:** Check the PID Level 1 Loops for pitch rate, roll rate, and yaw rate.
- 132. **O:** Click "Upload Config"

1	0	6

FT-04: PROCEDURES		Notes:	Dur: 20 min
133.	O: Click "Update Flash"		
134.	O: Save the gains values to file with an incremented file name		
135.			

Card No.	FT-04a
Descriptio	CONDOR Inner Loop PID Tuning – Yaw Rate
n	
Objective	Tune yaw rate damping servo loop.

Level 3 Loops		Level 2 Loops		Level 1 Loops
	Hdg Fixed		Roll Fixed Input	Roll
	Dynamic-Waypoint		Roll Dyn. Input	☐ Roll Rate
			☐Heading	☐ Pitch
				☐ Pitch Rate
Tur	ning	\boxtimes	Pitch Fixed Input	⊠ Yaw Rate
			Pitch Dyn. Input	
	Use Desired		Altitude	
			☐ Airspeed	
				☐ Thr->Alt
				☐ Thr->Climb/Alt

FT-04a: PROCEDURES

Notes: **Dur:** 20 min

();	8

	FT-04a: PROCEDURES	Notes: Dur: 20 min	
_	until small instabilities are noted in yaw and then lower the value by 25% (instabilities should go away). Record the Yaw Rate Kp Value.	As Kp is increased, the aircraft should feel more damped around the yaw axis. Use pilot feedback to verify that the aircraft is becoming more damped around the yaw axis. Yaw Rate Kp:	-
	12. O: Enter a desired roll angle of 15 degrees in the desired roll angle box	The desired turn rate that corresponds to a 15 degree roll will be indicated in the Desired Turn Rate Box Actual Roll Rate: The roll angle does not have to track perfectly at this point. The roll angle controller will be tuned in flight 3 to improve the roll angle hold.	
3	13. O: Verify by observing the HSI that the aircraft actual roll angle is between 10 and 20 degrees. Aircraft should be turning right. Record the actual roll rate.	You may try a higher bank angle if desired.	
	14. O: Command a 15 degree left bank (enter -15 in the desired roll angle box). Verify the aircraft turns left on the HSI.		
	15. O: Command 0 degrees bank to return the aircraft to level flight		
	16. O: Save the gains values to file with an incremented file name		

FT-04a: PROCEDURES	Notes: Dur: 20 min
	For most aircraft this value is between .005 and .2. This number is in radians of rudder deflection per radian second of roll rate error.
Tuning Roll Rate PID loop (Roll Rate Kp)	As Kp is increased, the aircraft should feel more damped around the roll axis. Use pilot feedback to verify that the aircraft is becoming more damped around the roll axis. Roll Rate Kp:
17. SP: Switch to RC mode	
18. O: Verify RC Mode (control boxes grayed out) and in "Manual Mode"	
19. SP: Maintain altitude and keep the airspeed near the trim airspeed found in Flight 1	
20. O: Check "Roll Rate" and un-check "Yaw Rate" under Level 1 Loops and ensure all other loops are unchecked	
21. O: Click "Upload loops"	
22. O: Navigate to (F5) Settings > PID Values screen. Enter .005 for Roll Rate Kp.	

32. O: Navigate to (F5) Settings > PID Values screen. Enter

39. O: Navigate to the Autopilot Config > Mode Config > RC

Notes:

Dur: 20 min

FT-04a: PROCEDURES

FT-04a: PROCEDURES	Notes: Dur: 20 min
Mode in Virtual Cockpit.	
40. O: Check the PID Level 1 Loops for pitch rate, roll rate, and yaw rate.	
41. O: Click "Upload Config"	
42. O: Click "Update Flash"	
43. O: Save the gains values to file with an incremented file name	

FT-05: CONDOR Third Flight PID Tuning Test Card

Preconditions:

Autopilot installation and ground configuration procedures accomplished as described in Section 1 through Section 2.1 of the Procerus Installation and Configuration Guide Document Version 2.0, dated 10/27/08. FT-01: CONDOR First Flight PID Tuning Test Card and FT-02: CONDOR Second Flight PID Tuning Test Card complete. PID gains loaded from FT-02.

Configuration:

Base	airframe,	1/2	tank	fuel	30-lb
Dasc	an manic.	/ 4	tains	Iuci,	20 10

Note: Mission requires a safety pilot (SP), and operator (O).

Objective:

114

Tuning Roll PID loop (Roll Kp)

1. SP: Switch to RC Mode
2. O: Verify RC Mode (control boxes grayed out) and in "Manual Mode"
3. O: Perform Launch Checklist (skip step 17 in launch checklist)
4. SP: Re-trim the CONDOR for level flight (if necessary)
5. SP: Maintain altitude and keep the airspeed near the trim airspeed found in Flight 1

6. O: Navigate to (F5) Settings > PID Values screen. Enter zero for Roll Ki and enter .01 for Roll Kp.

Trim Airspeed from Flight #1: ______

1. The purpose of the third flight is to tune the inner attitude hold loops and the outer airspeed and altitude hold PID loops.

1	F T-05	PROCEDURES	Notes: Dur: 30 min
_	7.	O: Click the "Use Desired" check box under Tuning	For most aircraft this value is between .01 and 1. This number
	8.	O: Enter zero for the desired roll angle. The desired yaw rate should also be zero.	is in radians of rudder deflection per radian roll angle error.
!	9.	O: Check "Yaw Rate and Roll" under Level 1 Loops and ensure all other loops are unchecked	
	10.	O: Click "Upload loops"	
	11.	SP: Disable RC Mode	
	12.	O: Verify UAV Modes are not "grayed out" and Manual mode is green	The autopilot is now setup such that when the pilot disables RC
15	13.	O: Tune the Roll PID loop by increasing Roll Kp slowly (.2 increments?). As Kp is increased, the aircraft should increasingly level itself in the roll axis. After each Roll Kp change, instruct the pilot to disturb the aircraft in the roll axis by giving rudder input. The aircraft should fight the pilot and return to level immediately when the roll stick is released. If this is the case, the roll loop is tuned ok. Record Roll Kp value.	Mode, the Yaw Rate and Roll loops will be active Safety Pilot is still flying the aircraft
	14.	O: Enter a desired roll angle of 15 degrees in the desired roll angle box	Roll Kp:
	15.	O: Verify by observing the HSI that the aircraft actual roll angle is close to 15 degrees.	You should see the desired turn rate ramp up to the yaw rate corresponding to a 15 degree roll angle at the current airspeed
	16.	O: Command a 15 degree left bank (enter -15 in the desired roll angle box). Verify the aircraft turns left on the HIS	You may try a higher bank angle if desired.

T-05 PROCEDURES	Notes:	Dur: 30 min
17. O: Command 0 degrees bank to return the aircraft to level flight		
18. O: If instabilities were noticed in roll then reduce the Roll Kp gain by 25% and repeat step 14 – 17 until instabilities have reduced.	It is more important to have than to have instabilities.	an aircraft that responds slowly
19. Save the gains values to file with an incremented file name.	zero for now. Some steady	n tuning to do, keep the Roll Ki at state error in roll is acceptable. You nen pilot-in-the-loop inputs are no
	For most aircraft this value	is between .01 and 1
uning Pitch PID loop (Pitch Kp)		
20. SP: Switch to RC mode		

7-05 PROCEDURES	Notes: Dur: 30 min
21. O: Verify RC Mode (control boxes grayed out) and in "Manual Mode"	
22. SP: Maintain altitude and keep the airspeed near the trim airspeed found in Flight 1	
23. O: Navigate to (F5) Settings > PID Values screen and enter zero for Pitch Ki and .01 for Pitch Kp	Observed average pitch angle: If the desired pitch angle is immediately overwritten, re-check that Level 2, "Pitch Fixed input" is clicked
24. O: Click the "Use Desired" check box under Tuning	If during the tuning procedure the aircraft is losing
25. O: In the PID loop window under Level 2 Loops ensure Pitch Cmd is "Pitch Fixed Input."	altitude, increase the desired pitch, or have the pilot
26. O: Enable or Check-on all Level 1 Loops (Roll, Roll Rate, Pitch, Pitch Rate, and Yaw Rate)	take over and climb the aircraft to a safe altitude.
27. O: Click "Upload Loops"	
28. O: Observe the current average pitch angle (level flight pitch angle) on the HSI. Enter this value for the desired pitch and record the value.	
	The aircraft should respond in a timely fashion to desired pitch commands without showing signs of instabilities. It is more important to have an aircraft that responds slowly than to have instabilities.

FT-05 PROCEDURES	Notes: Dur	r: 30 min
33. O : Enter a variety of pitch angles for desired pitch. Ensure the aircresponds accordingly. If not repeat steps 31 and 32	Typically Kp for this loop does not exceed 0.1	
34. O: At this point, the user may choose to add a little bit of Pitch Ki This will aid in tracking at larger pitch angles. The down side is th integrator will fight the pilot inputs. If Ki is added, instruct the pilot keep the elevator stick neutral while the Pitch loop is enabled.	at the	
35. O: Save the gains values to file with an incremented file name		
	Ki for this loop is typically around ½ the va	lue of
Tuning Pitch from Airspeed PID loop (Pitch<-airspeed Kp)	Kp.	
36. SP: Switch to RC mode		
37. O: Verify RC Mode (control boxes grayed out) and in "Manual M	ode"	
38. SP: Maintain altitude and keep the airspeed near the trim airspeed Flight 1	found in	
39. O: Navigate to (F5) Settings > PID Values screen and enter zeroPitch Ki and .02 for Pitch<-Airspeed Kp	At this point, Manual Mode is tuned.	
40. O: Click the "Use Desired" check box under Tuning		
41. O: Enable all tuned loops at this time. Enable Level 2 Pitch from A Loop (Ensure "Pitch Dyn Input" is visible. If it isn't, click "Pitch F Input" once. Under "Pitch Dyn Input", select "Airspeed" and ensure the content of the	ixed	

FT-05 PROCEDURES	Notes:	Dur: 30 min
Gain value found under Autopilot Config > Feed Forward and Trims > Pitch.		
50. Save the gains values to file with an incremented file name.		ng from the RC controller (it is the rently commanding to maintain level
Tuning Throttle from Airspeed PID loop (Throttle- <airspeed kp)<="" td=""><td></td><td>such that when the pilot disables RC old zero roll angle and maintain</td></airspeed>		such that when the pilot disables RC old zero roll angle and maintain
Tuning Throttic from Anspecu TID loop (Throttic-\anspecu Kp)	The pilot will be responsible holding altitude.	le for keeping pitch near level and

	FT-05 PROCEDURES	Notes: Dur: 30 min
123	54. O: Double check the trim throttle setting. With the aircraft flying level in RC Mode, navigate to the Servos window in Virtual Cockpit. Click "Send/Req" in the Desired Servo Position window. The current throttle servo position can be read in the Des Servo Position column. Verify this value is similar to the value entered previously in F-CONDOR-01 seep #21 as the Throttle Trim. This can also be found in Autopilot Config > Feed Forward and Trims > Throttle > Trim Throttle	The autopilot is now setup such that when the pilot disables RC Mode, the autopilot will hold zero roll angle and maintain airspeed pitch. The altitude will be maintained using throttle.
	55. O: In the PID Values window enter a value near 10 for Throttle<-Airspd Kp. Set Throttle<-Airspd Ki=0	
	56. O: Click the "Use Desired" check box under Tuning	
	57. O: Pre-select Manual Mode by clicking "Man" in the UAV Modes window (Click "Man" again even if already selected)	The tracking does not have to be perfect as this loop is only used for transitioning to different altitude. The PID loop responsible for holding altitude will be tuned next.

	FT-05 PROCEDURES	Notes: Dur: 30 min
-		Throttle<-Altitude Kp:
	58. O: Select "Pitch fixed input" in level 2 pitch. Disable Pitch in Level 1	
	59. O: Select Thr->Airspeed Level 1 Loop and Leave all other loops as they were for Manual Mode.	
124	60. SP: Disable RC Mode	
	61. O: Verify Manual Mode should show green on the UAV Mode indicator.	As soon as the autopilot can reasonably control the aircraft (i.e. hold altitude and navigate to home or rally), enable the Loss of Comm failsafe. Disable the Flight Termination failsafe unless it is required for safety or local regulation.
	62. O: Verify the following PID loops are enabled and that the Upload Loops button is not red:	
	a. Level 1 Roll, Roll Rate, Pitch Rate, Thr->Airspd and Yaw Rate (
	b. Level 2: Roll Fixed input, Pitch Fixed input.	At this point, the Pitch, Roll, Pitch<-Airspeed, Throttle<-Airspeed, Throttle<-Altitude, and all rate damping loops should be tuned. It is now time to move to the Pitch from Altitude PID loop. Because this is an outer PID loop that is
	63. O: If the aircraft is trimmed is should maintain near level flight at cruise speed using the trim throttle value entered in Autopilot Config > Feed	governed by standard aircraft dynamics, little tuning may be required. The units of this loop are radians of desired pitch per meter of altitude error. This loop is a little tricky as the pitch<-

FT-05 PROCEDURES	Notes: Dur: 30 min
Forward and Trims > Throttle. Verify level flight at cruise speed.	altitude limit also needs to be tuned. If the limit is too high, this
64. O: Tune Throttle- <airspeed aircraft="" airspeed.="" desired="" kp="" record="" right.<="" such="" td="" that="" the="" to="" tracks="" value=""><td>loop may command a pitch that will stall the aircraft. If it is too low, the aircraft will not be able to maintain altitude.</td></airspeed>	loop may command a pitch that will stall the aircraft. If it is too low, the aircraft will not be able to maintain altitude.
65. O: If the throttle seems to over modulate decrease the throttle slew rate.This is found in Autopilot Config > Feed Forward and Trims > Throttle > Slew Rate.	
66. O: As the pilot pitches up, the throttle should increase to track airspeed. As the pilot pitches down the throttle should reduce. Try commanding different airspeeds and verify the UAV tracks the desired airspeed.	
67. O: It may be desirable to add some integral gain to compensate for reduced thrust as the batteries run down. Try adding between .1 and 1 for Throttle<-Airspd Ki.	
68. O: Save the gains values to file with an incremented file name.	
Tuning Throttle form Altitude PID loop (Throttle<-Altitude Kp)	The autopilot is now setup such that when the pilot disables RC Mode, the aircraft will hold altitude with pitch and airspeed with throttle.

	FT-05 PROCEDURES	Notes:	Dur: 30 min
	76. O: Enter the current indicated altitude for the desired altitude.77. SP: Disable RC Mode		
	78. O: Verify Manual Mode should show green on the UAV Mode indicator.	If all went well and per the instructions, the tuned.	en Altitude Mode is
127	79. O: If the aircraft is trimmed it should maintain near level flight at cruise speed using the trim throttle value entered in Autopilot Config > Feed Forward and Trims > Throttle.		
	80. O: Tune Throttle<-Altitude Kp such that the aircraft tracks the desired altitude. Note the final Throttle<-Altitude Kp value to the right	Ensure all PID gains and flash values have and also all changes have saved in an appre (You don't want all your work during Fl As soon as the autopilot can reasonably (i.e. hold altitude and navigate to home of Loss of Comm failsafe. Disable the Flight unless it is required for safety or local reg	copriately named file. sight 3 to be lost!) control the aircraft r rally), enable the t Termination failsafe
	81. O: If the throttle seems to over modulate decrease the throttle slew rate.This is found in Autopilot Config > Feed Forward and Trims > Throttle > Slew Rate.		

- **82. O:** With the aircraft holding altitude reasonably well (a small phuguoid is ok at this point). Command the aircraft to a higher altitude (maybe 30 meters up). The throttle should increase and the aircraft should climb to the new altitude. Adjust the Throttle<-Altitude Kp so that this occurs. \
- **83. O:** Next try commanding the aircraft to a lower altitude.
- **84. O:** It may be desirable to add some integral gain to compensate for reduced thrust as the batteries run down. Try adding between .1 and 1 for Throttle<-Altitude Ki.
- **85. O:** Stop tuning when you are confident that the aircraft can reliably transition to different altitudes using the throttle.
- **86. O:** Save the gains values to file with an incremented file name.

Γ-05 PROCEDURES	Notes:	Dur: 30 mi
uning Pitch from Altitude PID loop (Pitch<-Altitude Kp)		
87. SP: Switch to RC mode		
88. O: Verify RC Mode (control boxes grayed out) and in "Manual Mode"		
89. SP: Maintain altitude and keep the airspeed near the trim airspeed found Flight 1	in	
90. O: Enter a number around .04 as a starting place for Pitch<-Altitude Kp Start with Ki=0.		
91. O: Click the "Use Desired" check box under Tuning		

FT-05 PROCEDURES	Notes:	Dur: 30 min
92. O: Pre-select Manual Mode by clicking "Man" in the UAV Modes window (Click "Man" again even if already selected)		
93. O: Select Thr->Airspd level 1 loop. Ensure Level 2 "Pitch Dyn Input" button is visible and select Altitude. Ensure "Auto Alt" is unchecked.		
94. O: Click "Upload Loops"		
95. O: Enter the current altitude for the desired altitude.		
96. SP: Disable RC Mode		
97. O: Verify Manual Mode should show green on the UAV Mode indicator		

- **101. O:** Once it seems that the aircraft is holding the current desired altitude, change the desired altitude by increments of 5 meters. Verify the aircraft tracks the new desired altitude.
- **102. O:** Once the aircraft is responding well to small increments in desired altitude, try bigger increments (5 to 20 meters).

- **103. O:** Once the altitude loop is sufficiently tuned, you may test Altitude Mode.
- **104. O:** Click Altitude Mode and verify that the aircraft holds altitude and airspeed (current alt, cruise airspeed).
- **105. O:** Enter a desired altitude 20 meters higher than the current altitude. Verify the Altitude Tracker goes to Climb Mode (Artificial Horizon).
- **106. O:** Once the desired altitude is reached, the Altitude Tracker should go to Hold Mode.
- **107. O:** Enter a desired altitude 20 meters below the current altitude.

FT-05 PR	OCEDURES	Notes:	Dur: 30 min
The	altitude tracker should respond with Auto Descent then Altitude hold.		
108. 109.	O: Save the gains values to file with an incremented file name. SP: Land the aircraft in RC Mode. Do not turn the autopilot off		
FT-06: <i>CC</i>	ONDOR Fourth Flight PID Tuning Test Card		

Preconditions:

133

Autopilot installation and ground configuration procedures accomplished as described in Section 1 through Section 2.1 of the Procerus Installation and Configuration Guide Document Version 2.0, dated 10/27/08. FT-01: CONDOR First Flight PID Tuning Test Card complete, FT-02: CONDOR Second Flight PID Tuning Test Card complete, and FT-03: CONDOR Third Flight PID Tuning Test Card complete.

Configuration:

Note: Mission requires a safety pilot (SP), and operator (O).

Objective:

134

1. Verify that waypoint and loiter navigation work correctly.

1	FT-06	: PROCEDURES	Notes:	Dur: 20 min
T	Navig	ation Verification		
	1.	O: Verify that fail safes enabled (F5) Settings > Fail Safes . 'On' selected for fail safes and values inputted as stated in <i>UAV Preflight with RC (Cold Start) Checklist</i> (step 39).		
	2.	O: Generate 'rectangle' flight plan with of altitude 300 ft (150 m) and airspeed near the trim speed found in Flight 1. Ensure waypoints are at least 250 meters apart.	If the lateral balance of the airplane is off, the a	iralono will
	3.	O: Verify the lateral and fore/aft balance of the airplane is proper	tend to always roll one way when entering deep deep stall. The lateral balance must be correct for stall.	stall or during
			The fore/aft CG must not be too far forward (not the airplane will not deep stall.	ose heavy), or

FT-07: CONDOR Throttle PID Test Card

Preconditions:

Autopilot installation and ground configuration procedures accomplished as described in Section 1 through Section 2.1 of the Procerus Installation and Configuration Guide Document Version 2.0, dated 10/27/08. CONDOR pre-flight procedures complete. Runway setup for takeoff test accomplished.

Configuration:

Base airframe, ½ tank fuel, 30-lb

Note: Mission requires a safety pilot (SP), and operator (O). The entire flight will be conducted in RC Mode

Objective:

139

4. Evaluate throttle PID parameters and/or obtain acceptable values

FT-07: PROCEDURES Notes: Dur: 15 min

Throttle PID Determination

- 136. O: Disable rate damping PID Loops, navigate to the F5 Settings page > Autopilot Config > Mode Configuration > RC Mode > PID Loops (Level I Loops). Uncheck all rate boxes
- 137. **SP:** Switch to RC Mode
- 138. **O:** Verify RC Mode (control boxes grayed out) and in "Manual Mode"
- 139. **O:** Perform *Launch Checklist*
- 140. **SP:** Trim the CONDOR for level flight at 600-ft

SP: Fly a racetrack obit at constant altitude and airspeed

O: Verify the airspeed and altitude values in the artificial horizon

O: Verify the GPS maintains lock

Notes:

Maneuver Time:

Maneuver Velocity:

Dur: 15 min

FT-07: PROCEDURES

are reasonable values

141.

142.

FT-08: CONDOR Takeoff Performance Test Card

Preconditions:

Autopilot installation and ground configuration procedures accomplished as described in Section 1 through Section 2.1 of the Procerus Installation and Configuration Guide Document Version 2.0, dated 10/27/08. CONDOR pre-flight procedures complete. Runway setup for takeoff test accomplished.

Configuration:

Base airframe, 35-lb Gross Weight, incremental thereafter. Fuel $-\frac{1}{2}$ tank or as needed.

Note: Mission requires a safety pilot (SP), and operator (O). The entire flight will be conducted in RC Mode

Objective:

- 5. Determine Condor takeoff distance variance with weight
- 6. Determine Condor takeoff speed variance with weight

FT-08: PROCEDURES Dur: 15 min

SP: Advance throttle until max (or safe level) for takeoff – hold

143

162.

163.

164.165.

until lift off

O: Note velocity at takeoff

O: Note distance until wheels off the ground

SP: Recover CONDOR to trimmed level flight at 700 ft

FT-08: PROCEDURES		Notes:	Dur: 15 min
166.	SP: Land CONDOR	+	
167.	O/SP: Repeat steps 1-14 for each weight/CG configuration		
168.	SP/O: Proceed to test car FT-01	Takeoff velocity:	
		Takeoff distance:	

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REPORT DOCUMENTATION PAGE Form Approved OMB No. 074-0188

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1. REPORT DATE	2. REPORT TYPE		3. DATES COVERED	
22-03-2012	Master's Thesis		August 2010 – March 2012	
TITLE AND SUBTITLE		5a.	CONTRACT NUMBER	
Modeling, Simulation, And Flight Test For		5h	GRANT NUMBER	
Condor Hybrid-Electric Remote Piloted Aircraft				
			5c. PROGRAM ELEMENT NUMBER	
6. AUTHOR(S)		5d.	I. PROJECT NUMBER	
Giacomo, Christopher, 2 nd Lieutenant, USA	F	5e.	TASK NUMBER	
5f.			WORK UNIT NUMBER	
7. PERFORMING ORGANIZATION NA	AMES(S) AND ADDRESS(S)		8. PERFORMING ORGANIZATION	
Air Force Institute of Technology			REPORT NUMBER	
Graduate School of Engineering and Mar	agement (AFIT/EN)		AFIT/GSE/ENV/12-M04	
2950 Hobson Way, Building 640				
WPAFB OH 45433-8865				
9. SPONSORING/MONITORING AGE	10. SPONSOR/MONITOR'S ACRONYM(S)			
Don Gelosh (Donald.gelosh@osd.mil)			Office of the Secretary of Defense	
DDR&E/ Systems Engineering			11. SPONSOR/MONITOR'S REPORT NUMBER(S)	
Crystal Mall 3, Suite 102				
1851 S. Bell Street				
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14. ABSTRACT

This thesis describes the modeling and verification process for the stability and control analysis of the Condor hybrid-electric Remote-Piloted Aircraft (HE-RPA). Due to the high-aspect ratio, sailplane-like geometry of the aircraft, both longitudinal and lateral/directional aerodynamic moments and effects are investigated. The aircraft is modeled using both digital DATCOM as well as the JET5 Excel-based design tool. Static model data is used to create a detailed assessment of predictive flight characteristics and PID autopilot gains that are verified with autonomous flight test. PID gain values were determined using a six degree of freedom linear simulation with the Matlab/SIMULINK software. Flight testing revealed an over-prediction of the short period poles natural frequency, and a prediction to within 0.5% error of the long-period pole frequency. Flight test results show the tuned model PID gains produced a 21.7% and 44.1% reduction in the altitude and roll angle error, respectively. This research effort was successful in providing an analytic and simulation model for the hybrid-electric RPA, supporting first-ever flight test of parallel hybrid-electric propulsion system on a small RPA.

15. SUBJECT TERMS

RPA, PID Tuning, Hybrid-Electric, Flight Control

16. SECURITY OF:	CLASSIFIC	CATION	17. LIMITATION	18. NUMBE	19a. NAME OF RESPONSIBLE PERSON Dr. David R. Jacques (AFIT/EVY)
a. REPORT	b. ABSTR	c. THIS PAGE	OF ABSTRACT	R OF	19b. TELEPHONE NUMBER (Include area code) 937-255-6565 ext. 3329
U	ACT U	U	UU	PAGES 149	(David.Jacques@afit.edu)

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