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# Modelling, design and control of a bird neck using tensegrity mechanisms

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**Abstract**—In birds, the neck exhibits remarkable performances and serves as a dextrous arm for performing various tasks. Accordingly, it is an interesting bioinspiration for designing new manipulators with enhanced performances. This paper proposes a preliminary bird neck model using several stacked tensegrity crossed bar mechanisms. It addresses several issues regarding kinetostatic and dynamic modelling, design and control.

## I. INTRODUCTION

The bird neck features outstanding dexterity and dynamic performances. Birds are capable of using their neck for dextrous tasks interacting with the environment (e.g. a vulture tearing food from a carcass), as well as for tasks demanding high force transmissions and accelerations (e.g. the woodpecker hitting a tree trunk). Contrary to hydrostats such as the elephant trunk or the cephalopod tentacle, bird necks have a spine that is composed of several elements (the vertebrae) like the snake. This work is carried out in the frame of the AVINECK project, a collaborative, multidisciplinary project with biologists and aims at proposing a bird neck robotic model. The concept of tensegrity has been chosen in this project as a general paradigm able to link the interests of biologists and roboticists. A tensegrity structure is made of compressive and tensile components held together in equilibrium [1], [2]. Tensegrity structures were first used in art [3] and have then been applied in civil engineering [4] and robotics [5], [6], [7], [8], [9], [10], [11], [12]. There are suitable to model musculoskeletal structures where the bones are the compressive components and the muscles and tendons are the tensile elements [13]. A preliminary, planar bird neck robotic model is considered in this paper. This model is built upon stacking a series of X-mechanisms i.e. crossed four-bar mechanisms with springs along their lateral sides. These mechanisms are inspired from the Snelson's X-shape mechanisms [2]. Although simplified due to its planarity, this model goes beyond the only available bird neck model in the literature that uses a simple planar articulated linkage [14], as it can be more easily actuated with cables that play the role of tendons and muscles. Snelson's X-shape mechanisms

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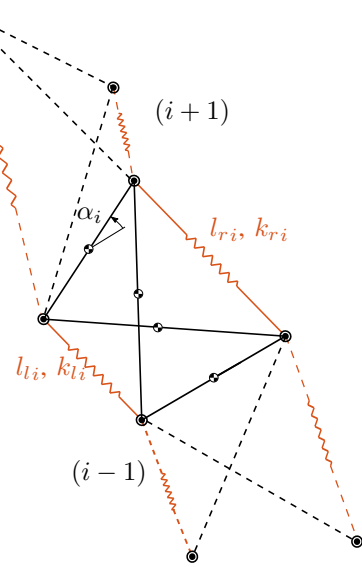


Fig. 1: Parametrization of a stack of mechanisms.

have been studied by a number of researchers, either as a single mechanism [5], [7], [15], [16] or assembled in series [17], [18], [9], [19], [20], [21]. In this paper, each X-shape mechanism is actuated with two lateral tendons threaded through the spring attachment points like in [9], [19], [20], and [21]. The resulting manipulator is supposed to operate in a vertical plane and is thus subject to gravity, unlike in [9], where the mechanism was used in a snake-like manipulator moving on the ground. This paper reports on some recent results obtained by our team on the AVINECK project.

## II. KINEMATIC AND DYNAMIC MODELLING

An assembly of  $N$  X-shape tensegrity mechanisms stacked in series is considered (see figure 1). The mechanisms  $i$  are numbered from  $i = 1$  (base) to  $i = N$  (head). Each mechanism  $i$  is a class-2 tensegrity mechanism [4] consisting of 3 bars and two pretensioned springs. The first mechanism is fixed to the ground and all the rigid links and springs are connected to each other with perfect revolute joints. Each X-mechanism  $i$  has a base bar and a top bar of length  $b$  and two crossed bars of length  $L$  (with the assembly condition  $b \leq L$ ), thus defining an antiparallelogram. In parallel to the left spring (resp. to the right spring), a tendon (not shown in figure 1) applies a force  $f_{li}$  (resp.  $f_{ri}$ ).

If the position  $(x,y)$  of the end effector is defined in the middle of the top bar of the last mechanism, the direct kinematic model can be expressed as follows [20] [21]:

$$\begin{cases} x = \sum_{i=1}^n l_i(\alpha_i) \cos\left(\frac{\pi-\alpha_i}{2} + \sum_{j=1}^i 2\alpha_j\right) \\ y = \sum_{i=1}^n l_i(\alpha_i) \sin\left(\frac{\pi-\alpha_i}{2} + \sum_{j=1}^i 2\alpha_j\right) \end{cases} \quad (1)$$

with:

$$l_i(\alpha_i) = l_{li} + l_{ri} = \sqrt{L^2 - b^2 \cos^2\left(\frac{\alpha_i}{2}\right)} \quad (2)$$

where  $\alpha_i$  is the relative angle of the top bar of the mechanism  $i$  with respect to the top bar of mechanism  $i - 1$ .

The dynamic model of the stacked mechanism is computed thanks to Lagrange's equations for a multi-dof (degree of freedom) system:

$$\frac{d}{dt} \left( \frac{\partial T}{\partial \dot{\alpha}_i} \right) - \frac{\partial T}{\partial \alpha_i} + \frac{dV}{d\alpha_i} = Q_i, \quad i = 1, 2, \dots, n_{\text{dof}} \quad (3)$$

where  $T$  is the kinetic energy,  $V$  the potential energy,  $Q$  the generalized forces and  $n_{\text{dof}}$  is the number of dof (i.e the number of stacked X-mechanisms). The equation of motion can be written in the following form:

$$\mathbf{M}(\alpha)\ddot{\alpha} + \mathbf{C}(\alpha, \dot{\alpha})\dot{\alpha} + \mathbf{G}(\alpha) = \mathbf{Q}(\alpha) \quad (4)$$

where  $\mathbf{M}$  is the inertia matrix, such that  $T = \frac{1}{2}\dot{\alpha}^\top \mathbf{M}\dot{\alpha}$ ,  $\mathbf{C}$  is the matrix of coriolis effects that can be deduced from  $\mathbf{M}$  [22],  $\mathbf{G}$  is the vector of potential effects,  $\mathbf{G} = \frac{dV}{d\alpha}$ , and  $\mathbf{Q}$  is the vector of generalized forces. In [23], the expression of  $\mathbf{M}(\alpha)$ ,  $\mathbf{G}(\alpha)$  are explicitly derived using an iterative procedure.

In this study, each mechanism is assumed fully actuated in an antagonist way, namely, a pair of tendons applies two positive forces  $f_{li}$  and  $f_{ri}$  in parallel to the left and right spring, respectively. The generalized forces vector  $\mathbf{Q}$  defined in (3) is the torque associated to the generalized coordinate  $\alpha$  :

$$\mathbf{Q} = \mathbf{Z}_l \mathbf{f}_l + \mathbf{Z}_r \mathbf{f}_r \quad (5)$$

with  $\mathbf{f}_l = [f_{l1}, \dots, f_{lN}]^\top$ ,  $\mathbf{f}_r = [f_{r1}, \dots, f_{rN}]^\top$ ,  $\mathbf{Z}_l$  and  $\mathbf{Z}_r$  are two diagonal matrices whose entries are respectively  $-\frac{dl_{li}}{d\alpha_i}$  and  $-\frac{dl_{ri}}{d\alpha_i}$ ,  $i = 1, \dots, N$ .

### III. CONTROL

Each mechanism  $i$  has a desired trajectory  $\alpha_i^d$ . Let  $\alpha^d$  be the vector of all those trajectories, and  $\alpha$  the vector of the measured mechanism orientations. The control law is built from equation (4). Low velocities are assumed and the Coriolis effects are thus neglected:  $\mathbf{C} = \mathbf{0}_{N \times N}$ . Thus, the desired torque  $\mathbf{Q}_d$  is:

$$\mathbf{Q}_d = \mathbf{M}(\alpha) \left( \ddot{\alpha}^d + k_d \mathbf{I}_N (\dot{\alpha}^d - \dot{\alpha}) + k_p \mathbf{I}_N (\alpha^d - \alpha) \right) + \mathbf{G}(\alpha) \quad (6)$$

where  $k_d$  and  $k_p$  are the gains of the control law. The required forces  $\mathbf{f}_l$  and  $\mathbf{f}_r$  must satisfy:

$$\mathbf{Q}_d = \mathbf{Z}_l(\alpha) \mathbf{f}_l + \mathbf{Z}_r(\alpha) \mathbf{f}_r \quad (7)$$

The solution that minimizes the norm of the sum of the forces  $\|\mathbf{f}_l + \mathbf{f}_r\|$  is chosen i.e. since forces must remain positive, for each mechanism one force is zero and the other one produces the motion.

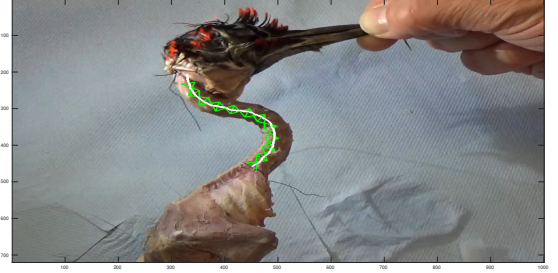


Fig. 2: First frame of the video, where the middle line of the neck is added in white, and the placed mechanisms are in green. The bird is a green woodpecker (*Picus viridis*).

### IV. EXTRACTION OF A NECK MOVE FROM A VIDEO

Our goal is to reproduce movements made by a woodpecker with the proposed tensegrity manipulator. To get bird neck movements, recorded videos of bird movements would be used. However, on alive birds, the feathers around the neck make it almost impossible to distinguish the neck. The extraction of a move was made from a video of a bird corpse from which the feathers were removed, moved by hand.

The video was made with a green woodpecker.

The motion capture was performed frame by frame. For each frame, the line at the middle of the neck is detected and the mechanisms are then placed along this line.

#### A. Positioning the mechanisms along the line

To reproduce the neck trajectory with the tensegrity manipulator, the position of each mechanism at each frame is required. The number of mechanisms  $N$ , the lengths of the top bars  $b_i$  and the diagonal bars  $L_i$  of each mechanism  $i$  are fixed. The orientation of the base of the neck  $\gamma_0$  is given by the orientation of the string at this place. The middle of the base bar  $x_0$  is given by the bottom of the middle line.

The mechanisms are placed one by one from the bottom. For each mechanism  $i$ , the orientation of the base bar  $\gamma_i$  and its center position  $x_i$  are given by

$$\gamma_i = \gamma_0 + \sum_{j=1}^{i-1} \alpha_j \quad (8)$$

$$x_i = x_0 + \sum_{j=1}^{i-1} \sqrt{L_j^2 - b_j^2 \cos^2\left(\frac{\alpha_j}{2}\right)} \cos\left(\gamma_j + \frac{\alpha_j}{2}\right) \quad (9)$$

With a scan on the position  $\alpha_i$ , a set of potential positions are tested. A mechanism is considered well positioned if the middle of its top bar is near the line and if the orientation of its top bar is near the perpendicular from the tangent to the line where the mechanism is located. Hence, the chosen position  $\alpha_i$  is the one that minimizes the following function:

$$v(\alpha_i) = d(x_i) + \lambda |(\gamma_i + \alpha_i) - \alpha_{line}| \quad (10)$$

where  $d(x_i)$  is the distance between the line and  $x_i$ ,  $\alpha_{line}$  is the angle of the perpendicular from the tangent to the line where the top bar of the mechanism cuts it, and  $\lambda$  is a parameter that can be used to modify the influence of the two parts.

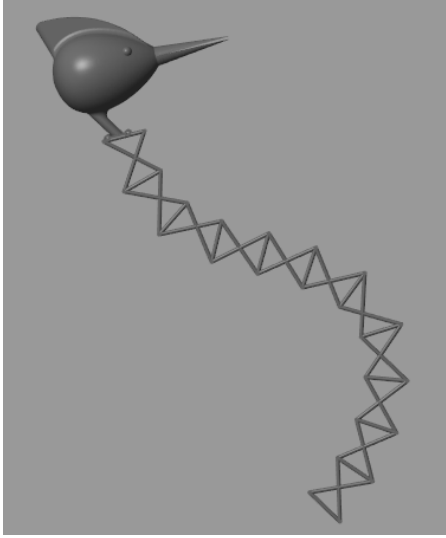


Fig. 3: The manipulator in Simscape. Only the solid bodies are visible.

### B. Simulated movement

As the angle of the base of the neck does not change much during the video, it is fixed to  $\gamma_0 = -\frac{\pi}{4}$ . The manipulator is composed of  $N = 11$  mechanisms, because the green woodpecker neck has 11 vertebrae. The  $\frac{L}{b} = 1.52$  ratio is chosen by hand to have a manipulator with a size similar to the neck.

To define the trajectories of the mechanisms, the positions obtained previously were smoothed separately for each mechanism.

## V. SIMULATION RESULTS

### A. Neck parameters

The manipulator studied is made of  $N = 11$  identical mechanisms with  $L = 0.152\text{ m}$  and  $b = 0.1\text{ m}$ . The springs free length is defined as  $l_0 = L - b$  (which is the smallest length of the springs reached in the flat configurations  $\alpha_i = \pm\pi$ ). All bars are cylinders of diameter  $d = 0.01\text{ m}$  and made of ABS with a volumic mass  $1050\text{ kg/m}^3$ . All the springs have the same stiffness  $k = 100\text{ N.m}^{-1}$ .

An head with a mass of  $270\text{ g}$  is put on the last mechanism. It is modeled like a sphere in the dynamic model. The Figure 3 shows the manipulator in Simscape. The cables and the springs are not observable.

The minimal and maximal bounds of the actuation forces are defined as  $f_{min} = 0\text{ N}$  (the tendons can only pull) and  $f_{max} = 100\text{ N}$ , respectively.

### B. Simulation results

Simulations are performed with Matlab Simulink and Simscape Multibody. Figure 4 shows the positions of the mechanisms during the simulation and the desired configuration based on the data extract for the video of the neck bird motion. The tracking is good and it has been shown in [23] that the use of the dynamic model allow to obtain better

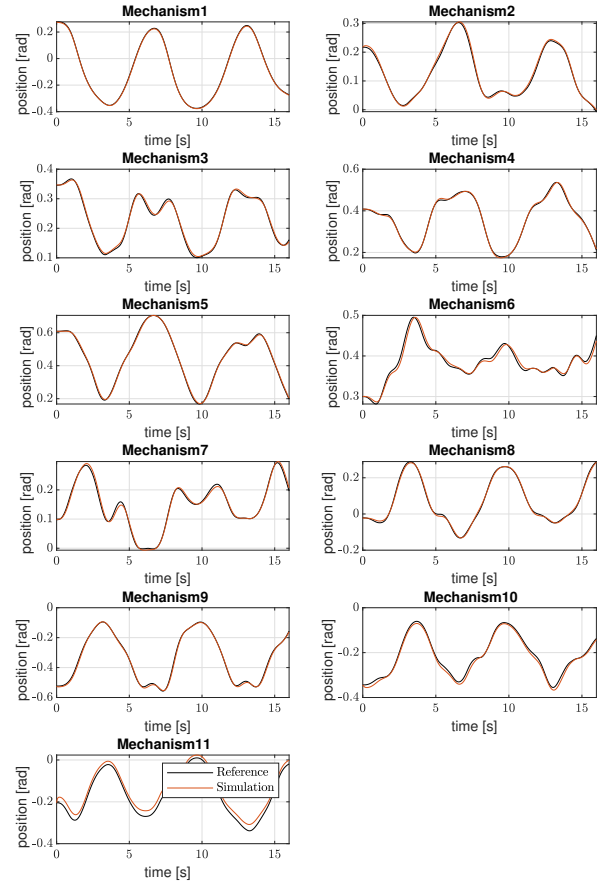


Fig. 4: Position during the simulations. The Reference curve (in black) corresponds to the desired trajectory, the red one is the result of the simulation.

result that a PD control law. The forces applied with the dynamic control law on each mechanism are shown in Figure 5. The present control law limits the forces applied by using only one antagonist actuator while the other one produces no force. A control of the stiffness of the mechanism can be also included to react to the environment.

## VI. CONCLUSION AND PERSPECTIVES

This paper analyzed the modeling, design and control of a tensegrity robot inspired from a bird neck and using a stack of X-shape tensegrity mechanism actuated by cables. The kinematic model was used to define a reference motion of each mechanism based on a video of the motion of a bird neck. The dynamic model was used to build a convenient control law to track the reference motion with an actuation composed of two independant forces acting on each mechanism.

A prototype is currently under development in order to carry out experimental work as illustrated in figure 6.

The current work concerns:

- The choice of the actuation,
- The interaction with the environment,

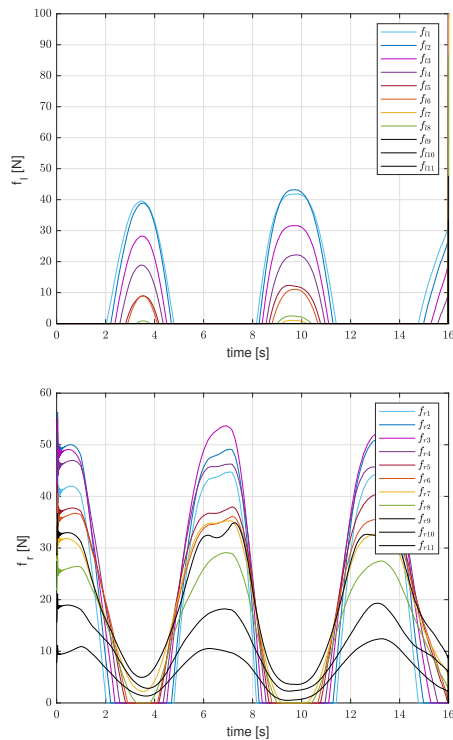


Fig. 5: Forces applied during the movement.



Fig. 6: The prototype under construction.

- The extension to 3D motion of each mechanism.

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