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# Cours/Lecture Series



## 1991 - 1992 ACADEMIC TRAINING PROGRAMME

SPEAKER : F. PAUSS / ETH Zürich & CERN-PPE  
 TITLE : LHC - Physics beyond the Standard Model  
 TIME : Monday 16 & Tuesday 17 December : from 10.30 to 12.00 hrs  
           Wednesday 18 December : from 11.00 to 12.00 hrs  
 PLACE : Auditorium



### ABSTRACT

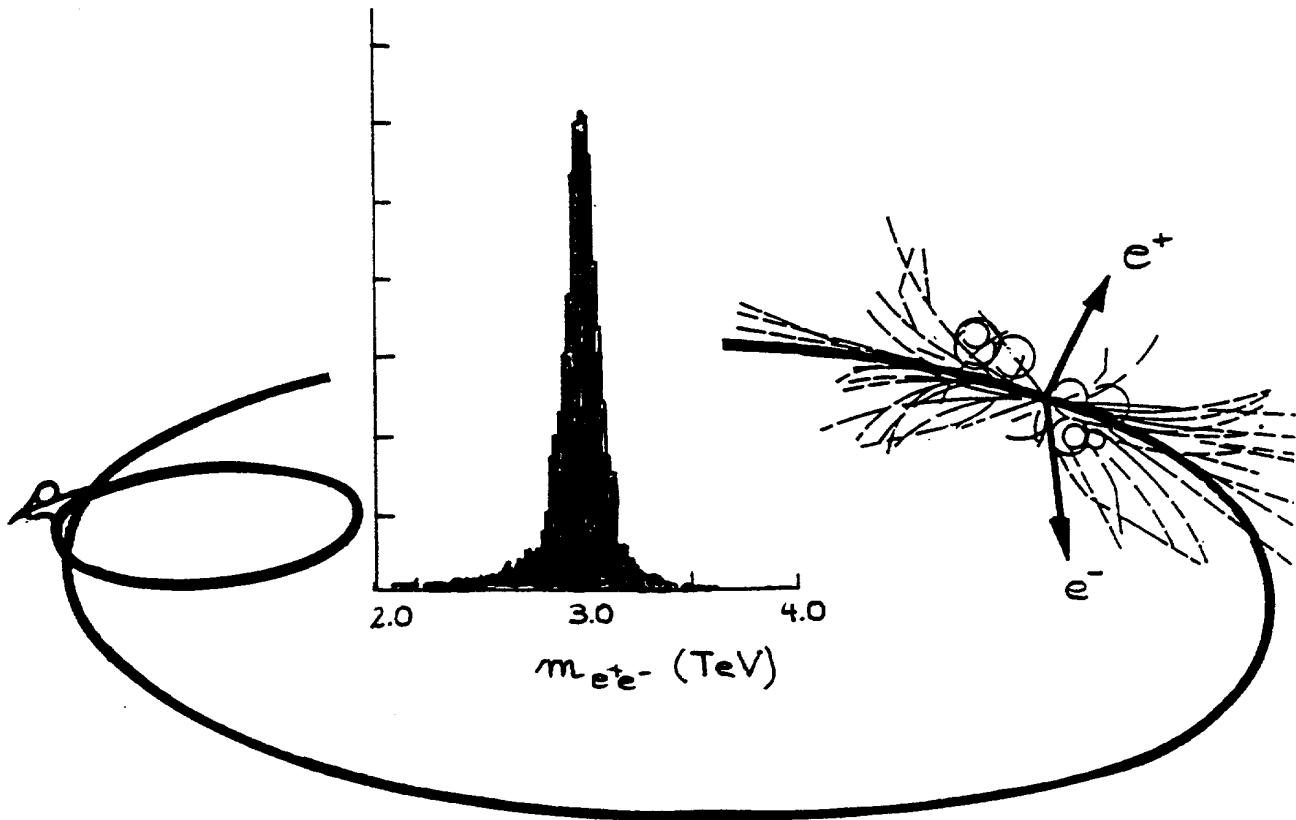
*Physics beyond the Standard Model will be discussed in the context of possible experimental signatures at the LHC. This includes the following physics topics: Supersymmetry (the Higgs-sector, the gluino-squark sector, possible extension of the MSSM), Heavy Vector Bosons and alternative symmetry breaking mechanisms. The impact on the design of the detectors will be briefly discussed as well.*

5127915

Div. DG/PU  
Distr. int. & ext.

# Large Hadron Collider

PHYSICS BEYOND THE  
STANDARD MODEL

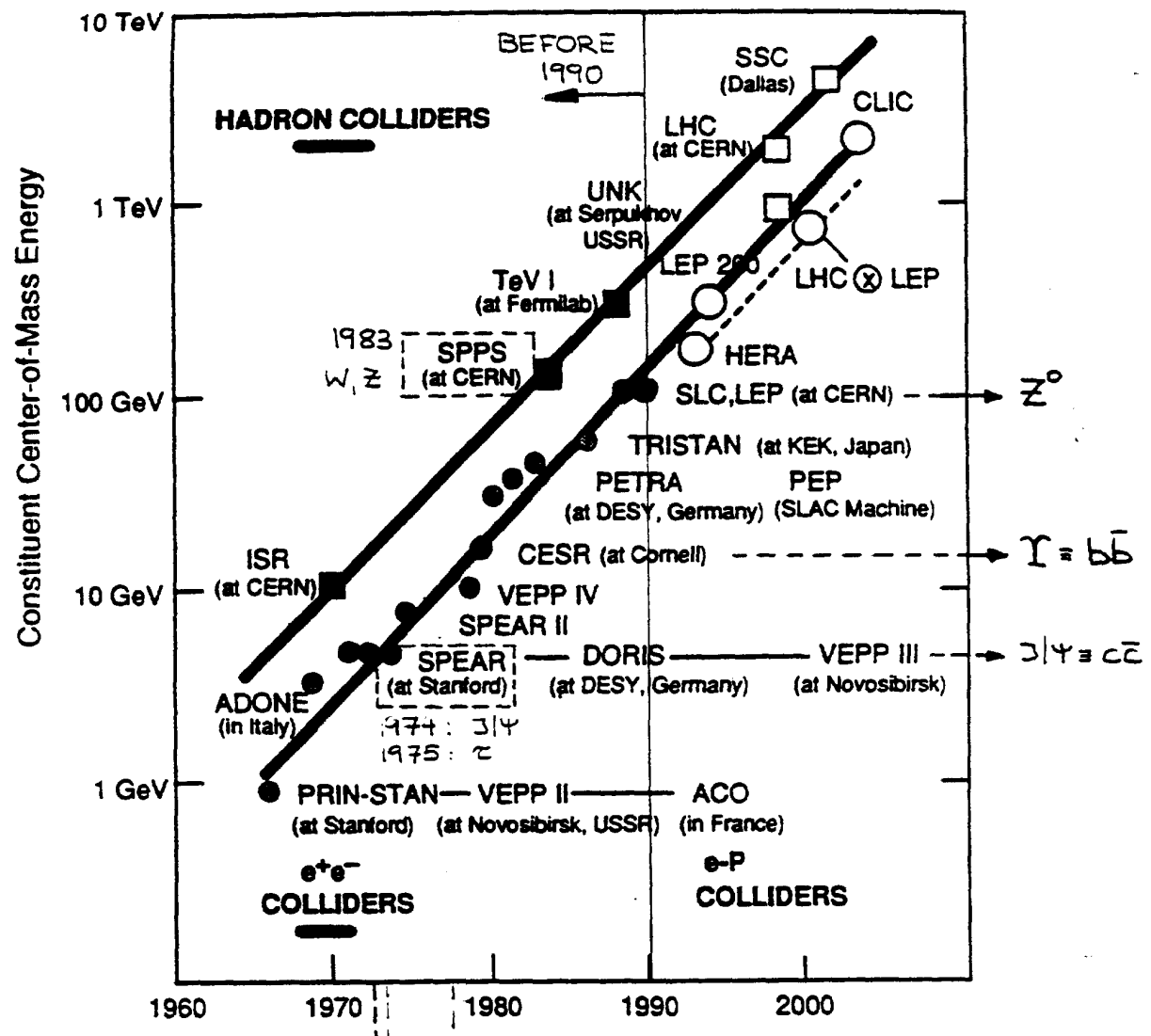


CERN ACADEMIC TRAINING PROGRAMME:  
16, 17, 18. DEC. 1991

FELICITAS PAUSS  
ETH - ZÜRICH



DISCOVERIES : COLLIDER AND FIXED TARGET  
 PREDICTED AND NOT PREDICTED

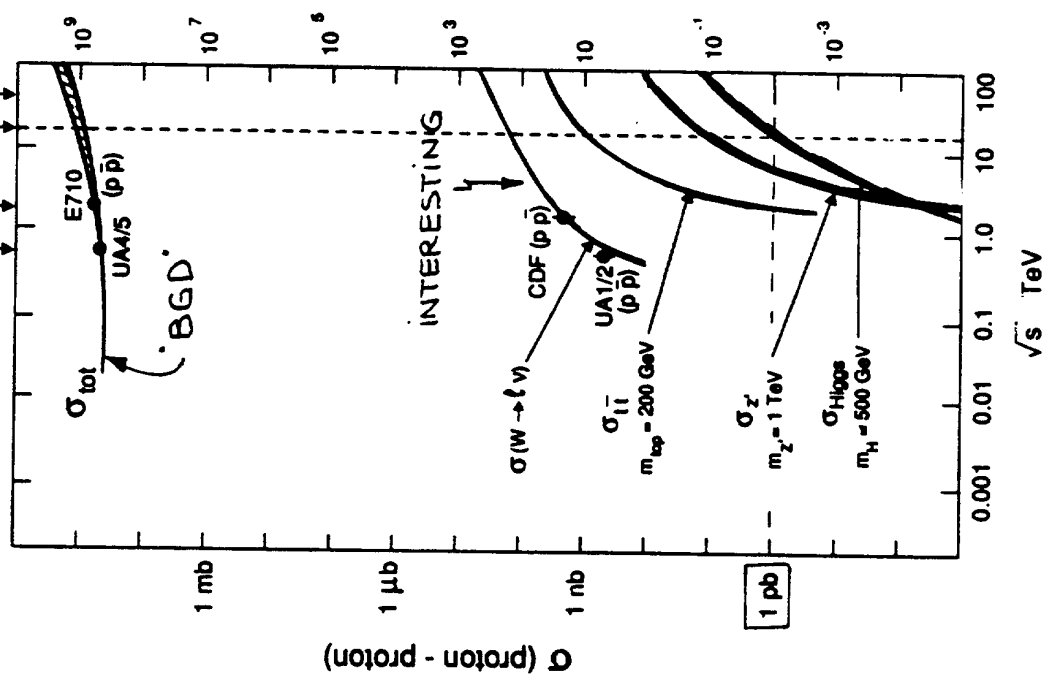


- 1973 : NEUTRAL CURRENTS : CERN-PS  
 ν- SCATTERING : 1. EXPER. PROOF FOR ELECTROWEAK THEORY
- 1974 : BROOKHAVEN :  $p + Be \rightarrow J/\psi \rightarrow e^+e^-$
- 1977 : FERMILAB :  $p + N \rightarrow I \rightarrow \mu^+\mu^-$

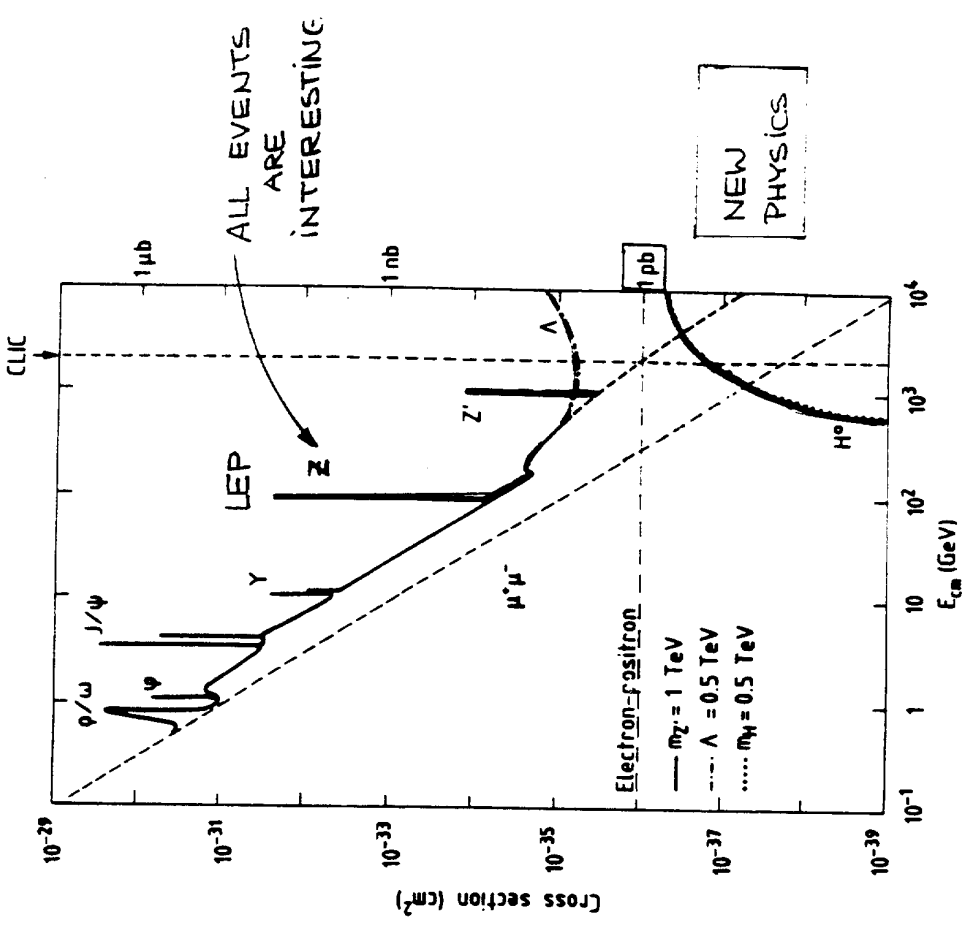
REMARK :  $J/\psi$ ,  $\tau$ ,  $I$ ,  $W$  AND  $Z$  DISCOVERY VIA LEPTON-CHANNEL ( $e, \mu$ )

PP

CROSS - SECTIONS



LHC :  $\sqrt{s} = 16 \text{ TeV}$ ,  $\mathcal{L} \geq 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$   
 SSC :  $\sqrt{s} = 40 \text{ TeV}$ ,  $\mathcal{L} = 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$



# PHYSICS GOALS OF THE LHC

STANDARD MODEL : 3 FAMILIES  
MISSING : TOP AND HIGGS

$N_\nu = 2.99 \pm 0.05$   
(LEP)

TOP:  $m_t > 89 \text{ GeV}$   
MUST EXIST, CAN BE FOUND AT TEVATRON IF NOT TOO HEAVY

HIGGS:  $m_H > 57 \text{ GeV}$  (LEP)  
IS IT AN ELEMENTARY PARTICLE RESPONSIBLE FOR THE EW SYMMETRY BREAKING?  
 $\downarrow$   
 $m_\gamma = 0$ ,  $m_W \approx 80 \text{ GeV}$ ,  $m_Z = 91 \text{ GeV}$   
DISCOVERED AT SPi  
THEORY: WITHIN SM:  $m_H < 1 \text{ TeV}$  BUT MASS NOT PREDICTED

↑  
MINIMAL SM  
-----  
POSS. EXTEN.  
↓

NEW HEAVY VECTOR BOSONS  
 $Z', W'$

MORE HIGGS PARTICLES

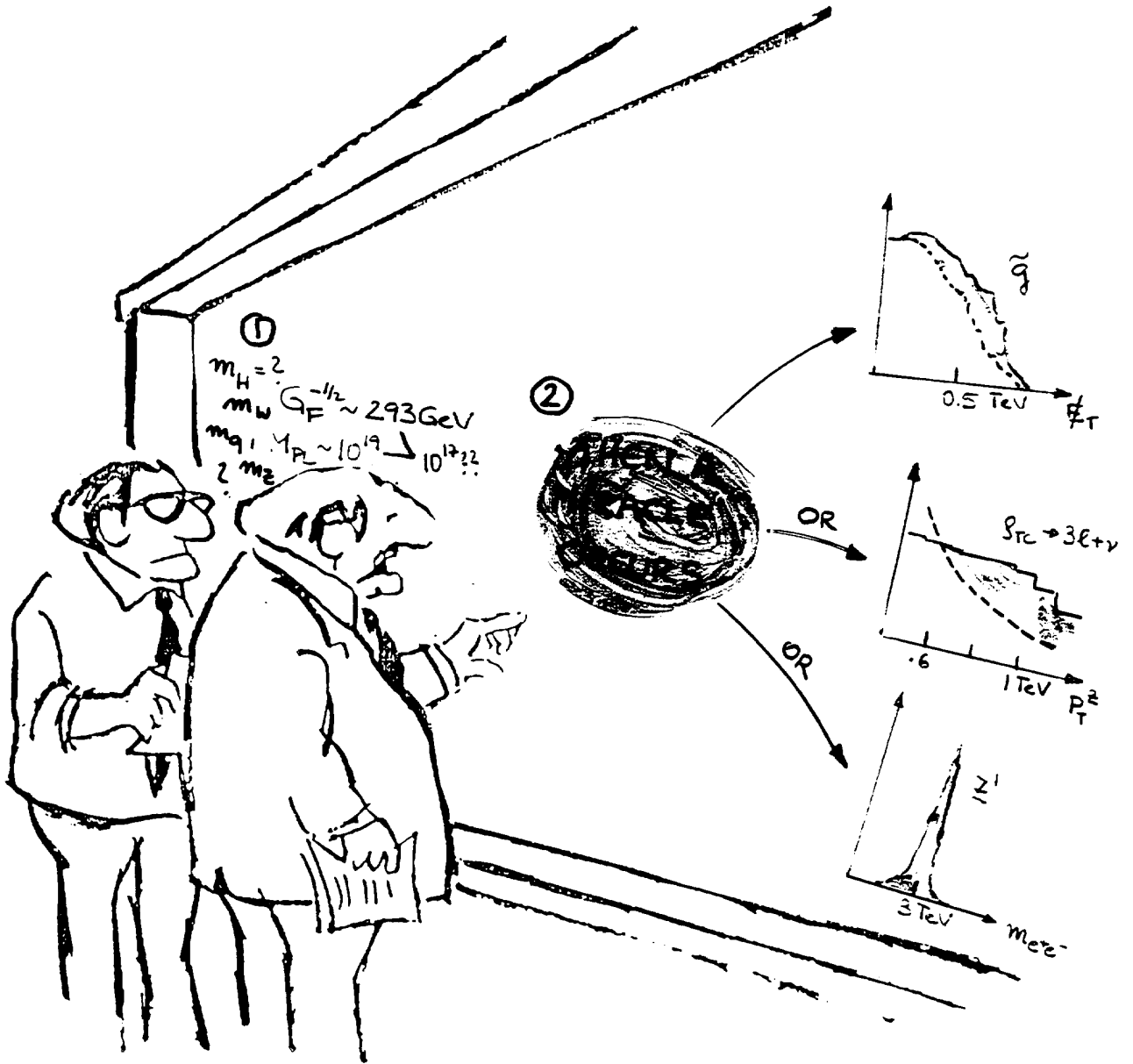
NO HIGGS:  
NEW VECTOR PARTICLES:  $V^\pm, V^0$   
NEW STRONG FORCE

SUPERSYMMETRY  
SOLVE MASS PROBLEM  
NEW PARTICLES

➔ ONE OF THE MAIN QUESTIONS:

DO WE HAVE ONE OR MORE FUNDAMENTAL HIGGS PARTICLES?  
OR ARE NEW STRONG FORCES REPLACING THE HIGGS?

GENERAL CONSENSUS: "SOMETHING" MUST HAPPEN IN THE TeV ENERGY REGION  
THIS ENERGY REGION IS ACCESSIBLE AT LHC



"I think you should be more explicit here in step two."

<p style="text-align: center;">CONTENT OF LECTURES (WHAT COULD BE THE POSSIBLE MIRACLE?)</p>
--

● SUPERSYMMETRY

- GENERAL REMARKS
- THE HIGGS SECTOR IN THE MSSM
- GLUINOS, SQUARKS
- BROKEN R-PARITY: AN EXTENSION OF THE MSSM

● NEW HEAVY VECTOR BOSONS

- GENERAL REMARKS
- EXPERIMENTAL SIGNATURES

● ALTERNATIVE SYMMETRY BREAKING

- GENERAL REMARKS
- EXPERIMENTAL SIGNATURES

REF.: L. IBANEZ: "PHYSICS BEYOND THE STAND. MODEL"

ACAD. TRAINING, 2.-6. DEC. 1991

ECFA - LHC WORKSHOP, AACHEN, OCT. 1990

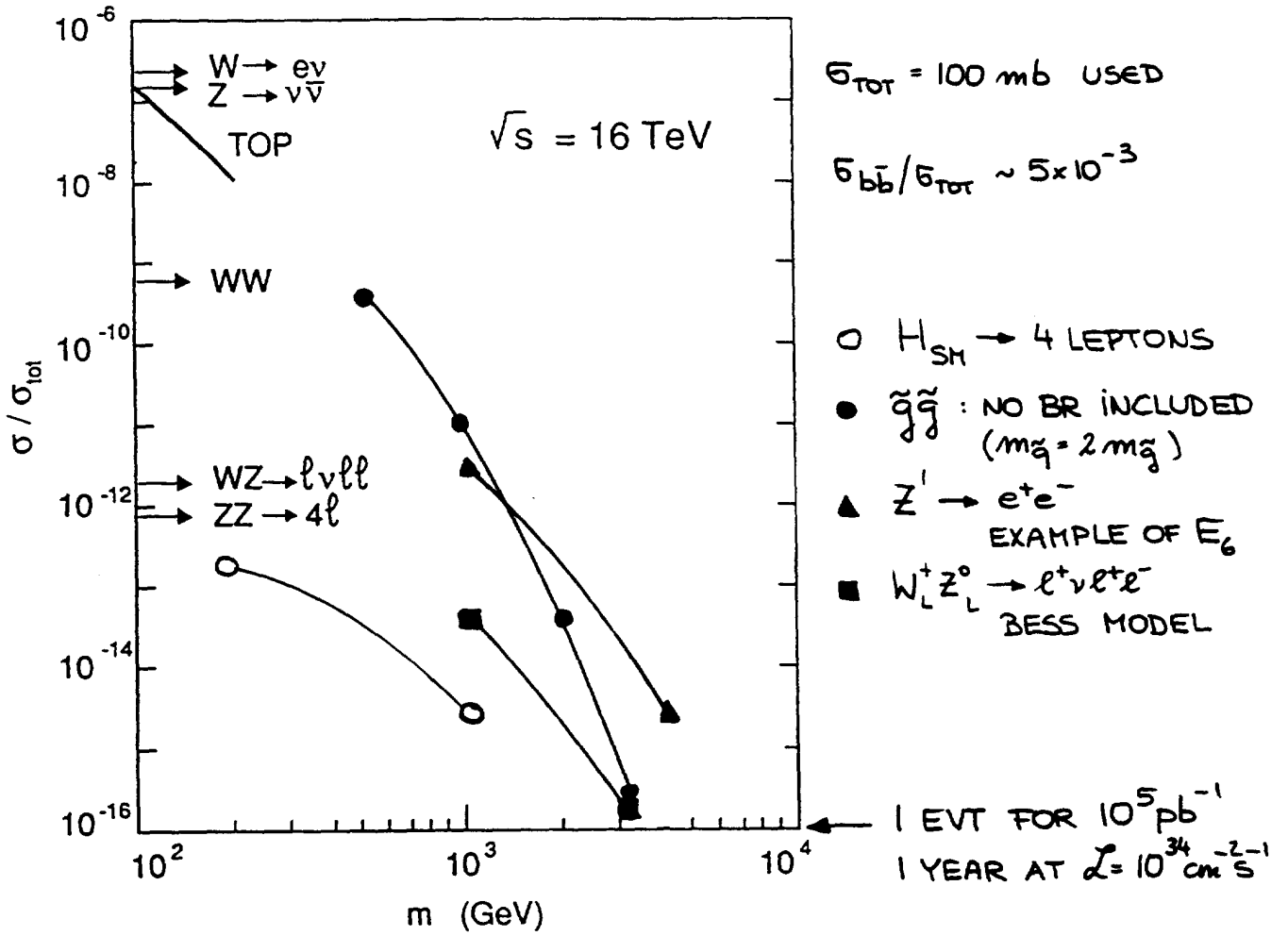
CERN 90-10, VOL I AND II

+ UPDATES ON SUSY-HIGGS:

Z. KUNZT, F. ZWIRNER: CERN-TH.6150/91.  
ETH-TH/91-7

+ PRIVAT COMMUNICATIONS....

PHYSICS BEYOND THE SM —  
THE EXPERIMENTAL CHALLENGE



RECALL: AT SPBS:  $\sigma(Z^0 \rightarrow e^+e^-) / \sigma_{\text{TOT}} \sim 10^{-9}$



## ONE PROBLEM OF STANDARD MODEL:

BY DIRECT EXTRAPOLATION OF SM ARRIVE AT GRAND UNIFIED THEORIES WHERE  $\alpha_{em}^{-1} = \alpha_w^{-1} = \alpha_s^{-1}$

GUT SCALE :  $M_{GUT} \sim 10^{15}$  GeV

IF GRAVITY ADDED :  $M_{PL} \sim 10^{19}$  GeV

→ CAN NOT IGNORE THESE SCALES

IN SM : ALL MASSES GIVEN IN TERMS OF WEAK SCALE :  $G_F^{-1/2} \sim 293$  GeV

→ CAN SM BE VALID UP TO  $M_{PL}$  ?  
FROM  $G_F^{-1/2}$  TO  $M_{PL}$  : FACTOR  $\sim 10^{17}$  !!

## CONSEQUENCES FOR HIGGS:

IF SM VALID UP TO SUCH LARGE SCALES CORRECTIONS TO  $m_H$  WILL INCREASE  $m_H$

→  $m_H \sim$  LARGE SCALE

→ NEED NEW PHYSICS (NEW SCALE) TO STABILIZE HIGGS

## ONE SOLUTION:

**SUPERSYMMETRY**

PREDICT FOR EACH KNOWN PARTICLE ITS SUPER-PARTNER:

$e \leftrightarrow \tilde{e}$ ,  $q \leftrightarrow \tilde{q}$ ,  $z \leftrightarrow \tilde{z}$ ,  $g \leftrightarrow \tilde{g}$ , ...

FOR NATURAL EXPLANATION OF WEAK SCALE NEED:

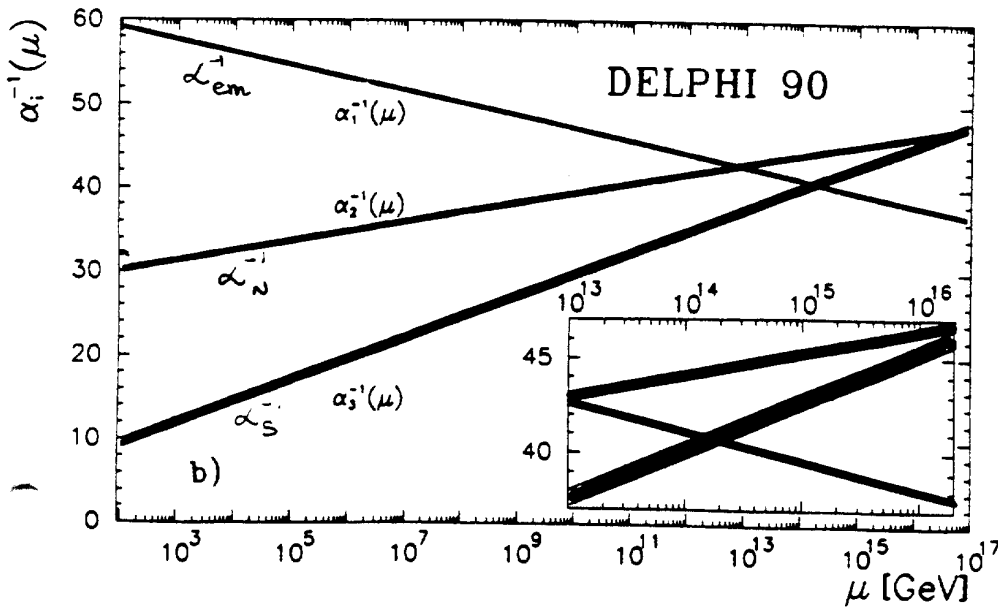
NEW SCALE  $\sim$  (FEW TIMES  $G_F^{-1/2}$ )  $\sim$   $\mathcal{O}(1\text{TeV})$

NEW SCALE  $\sim m_{\text{SUSY PARTNERS}}$



**CAN BE DISCOVERED AT LHC**

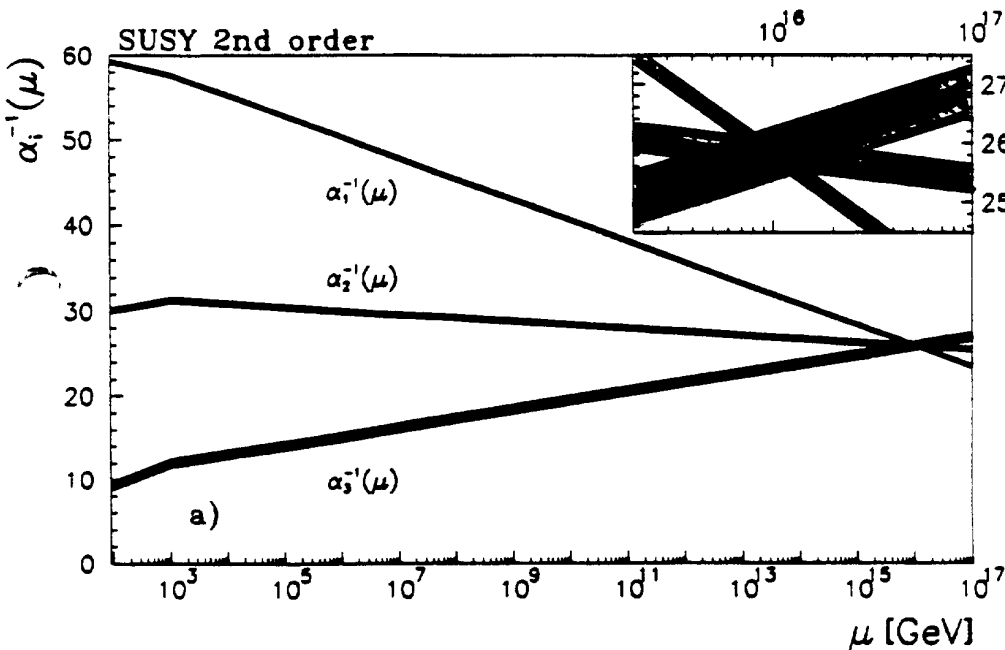
EVOLUTION OF COUPLING CONSTANTS WITHIN MSM DOES NOT LEAD TO GRAND UNIFICATION:



AMALDI et al.  
CERN - PPE 91-44

USING  $m_Z$  AND  
 $\alpha_S(m_Z)$ :  
DISAGREE > 7 s.d.

MSS EXTENSION OF SM LEADS TO UNIFICATION AT SCALE  $10^{16 \pm 0.3}$  GeV:



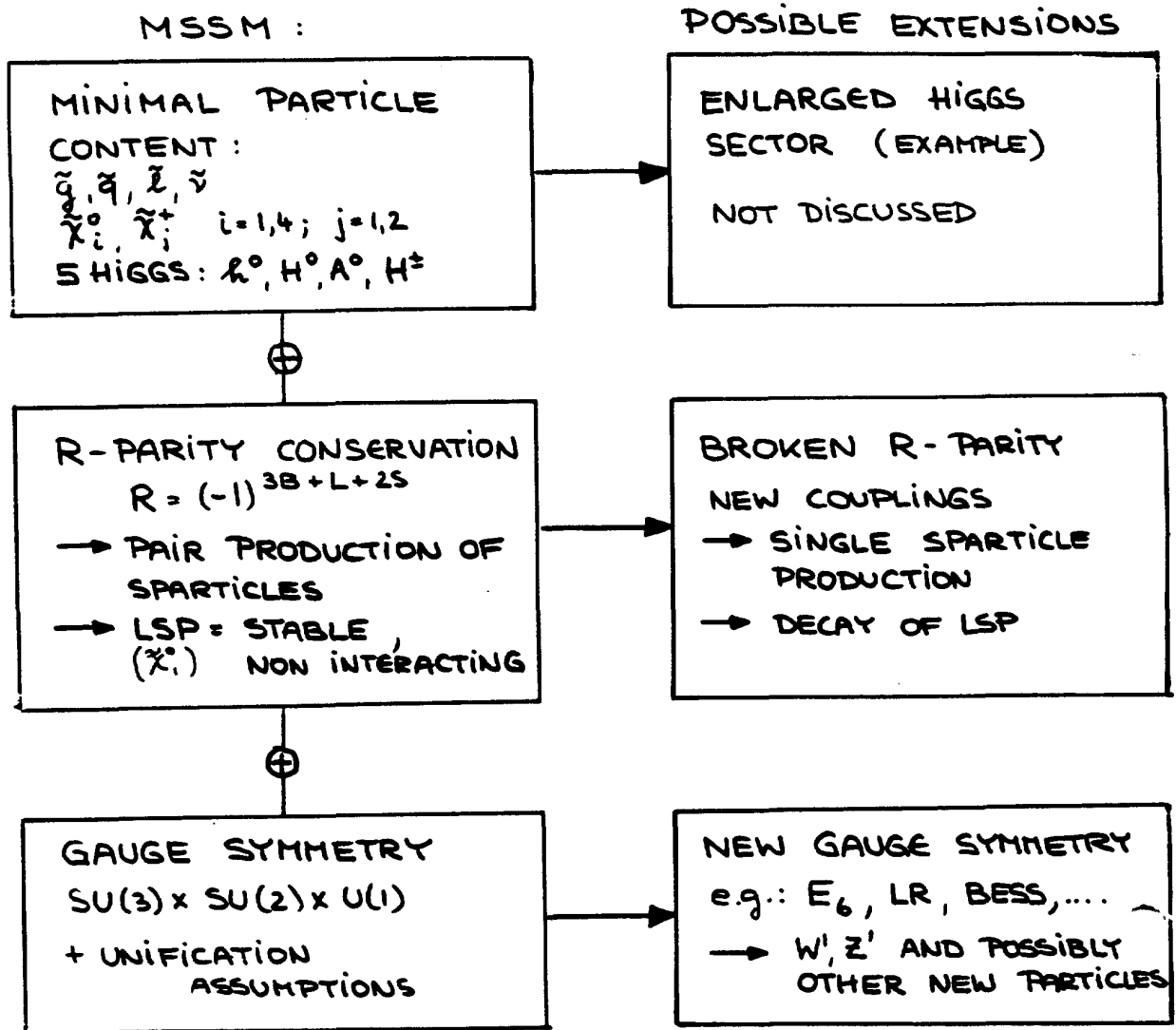
COMPATIBLE WITH  
LIMIT OF  
P-LIFETIME  $\sim 10^{32}$  y.

➔ BEST FIT WITH MSSM FOR

$$m_{\text{SUSY}} = 10^{3 \pm 1} \text{ GeV}$$

(ERROR MOSTLY FROM  $\alpha_S$ )

# THE MINIMAL SUPERSYMMETRIC MODEL AND POSSIBLE EXTENSIONS



# THE HIGGS SECTOR IN MSSM

NEED 2 COMPLEX HIGGS DOUBLETS TO AVOID GAUGE ANOMALIES  $\rightarrow$  5 PHYSICAL HIGGS BOSONS:

$$\begin{array}{cccc}
 h^0 & H^0 & A^0 & H^\pm \\
 \text{CP-EVEN} & & \text{CP-ODD} & \\
 \text{NEUTRAL} & & & \text{CHARGED}
 \end{array}$$

AT TREE LEVEL: ALL HIGGS MASSES AND COUPLINGS CAN BE EXPRESSED IN TERMS OF

2 PARAMETERS: USE  $m_{A^0}, \tan\beta \equiv \frac{v_2}{v_1}$   
 RATIO OF VEV'S  
 ( $1 < \tan\beta < m_t/m_b$ )

$$m_{h^0} = \frac{1}{2} \left( m_A^2 + m_Z^2 - \sqrt{(m_A^2 - m_Z^2)^2 + 4m_Z^2 m_A^2 \sin^2 2\beta} \right)$$

$\rightarrow$  IMPORTANT TREE LEVEL MASS RELATIONS:

$$m_{h^0} \leq m_Z, m_{H^0} > m_Z, m_{A^0} > m_{h^0}, m_{H^\pm} > m_W$$

$\uparrow$   
IN LEP200 REACH!

HOWEVER: RADIATIVE CORRECTIONS TO HIGGS MASSES HAVE TO BE TAKEN INTO ACCOUNT

CORRECTIONS TO  $m_{h^0}$ :

$$\mathcal{E} = \frac{2d_W m_t^4}{2\pi m_W \sin^2\beta} \log \left( 1 + \frac{m_{\bar{q}}^2}{m_t^2} \right)$$

$\rightarrow$  IN GENERAL INCREASE WITH  $m_t, m_{\bar{q}}$   
INCREASE

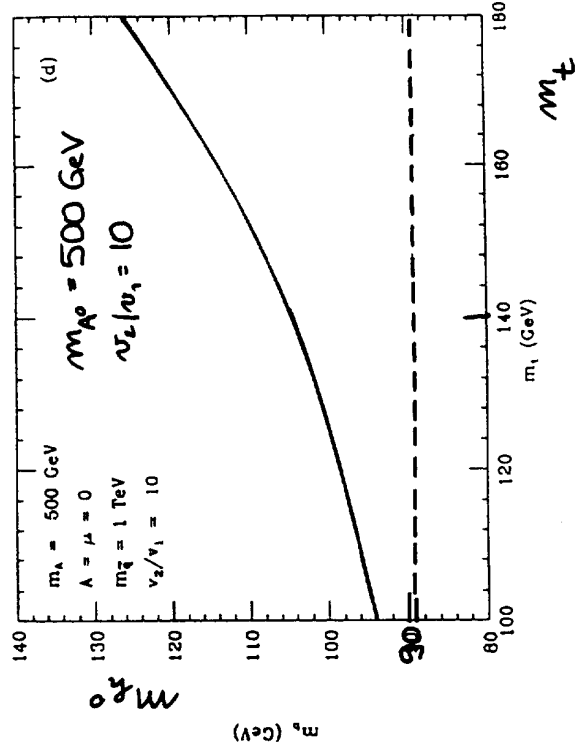
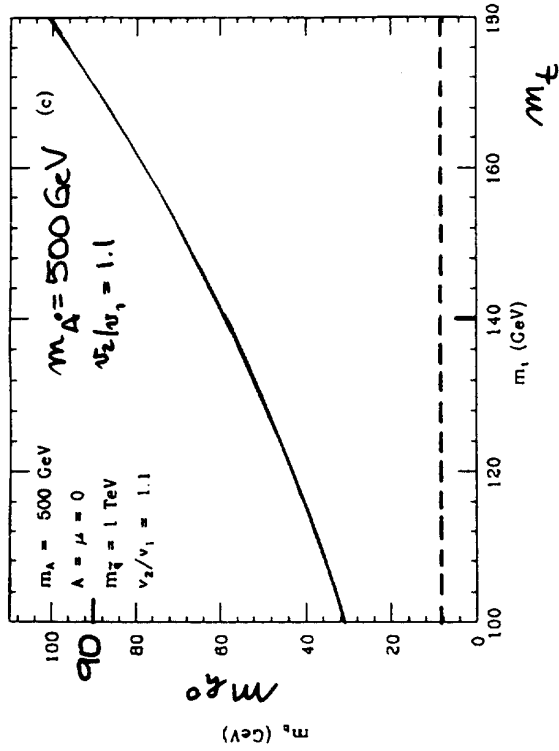
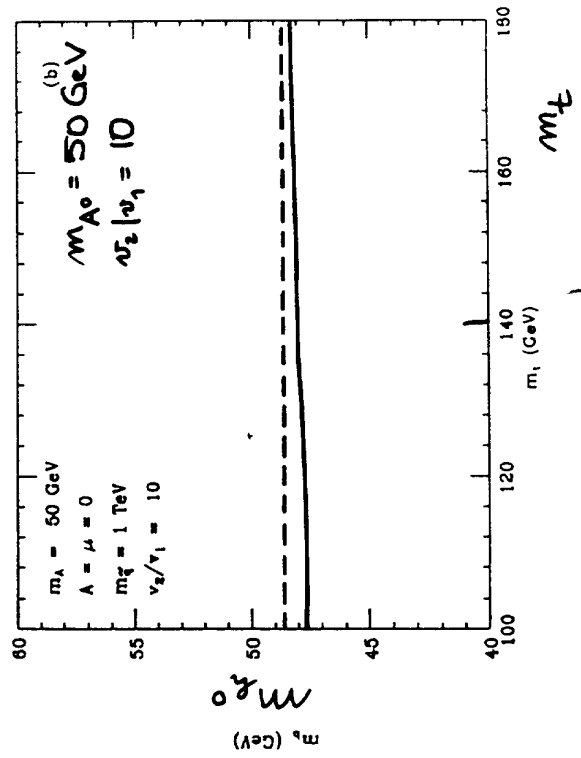
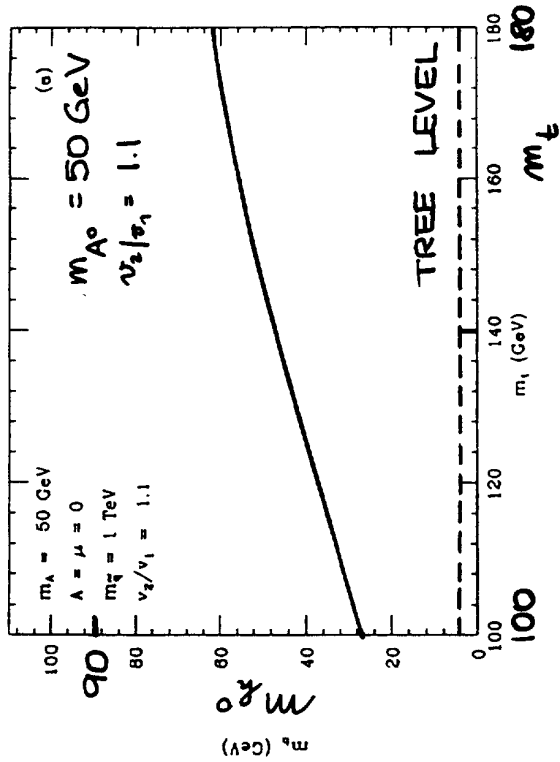
$\rightarrow$  IMPORTANT CONSEQUENCES:  $\text{LEP200} \leftrightarrow m_{h^0}$

$\rightarrow$  FREE PARAMETERS:  $m_{A^0}, \tan\beta, m_t, (m_{\bar{q}})$

RADIATIVE CORRECTIONS TO

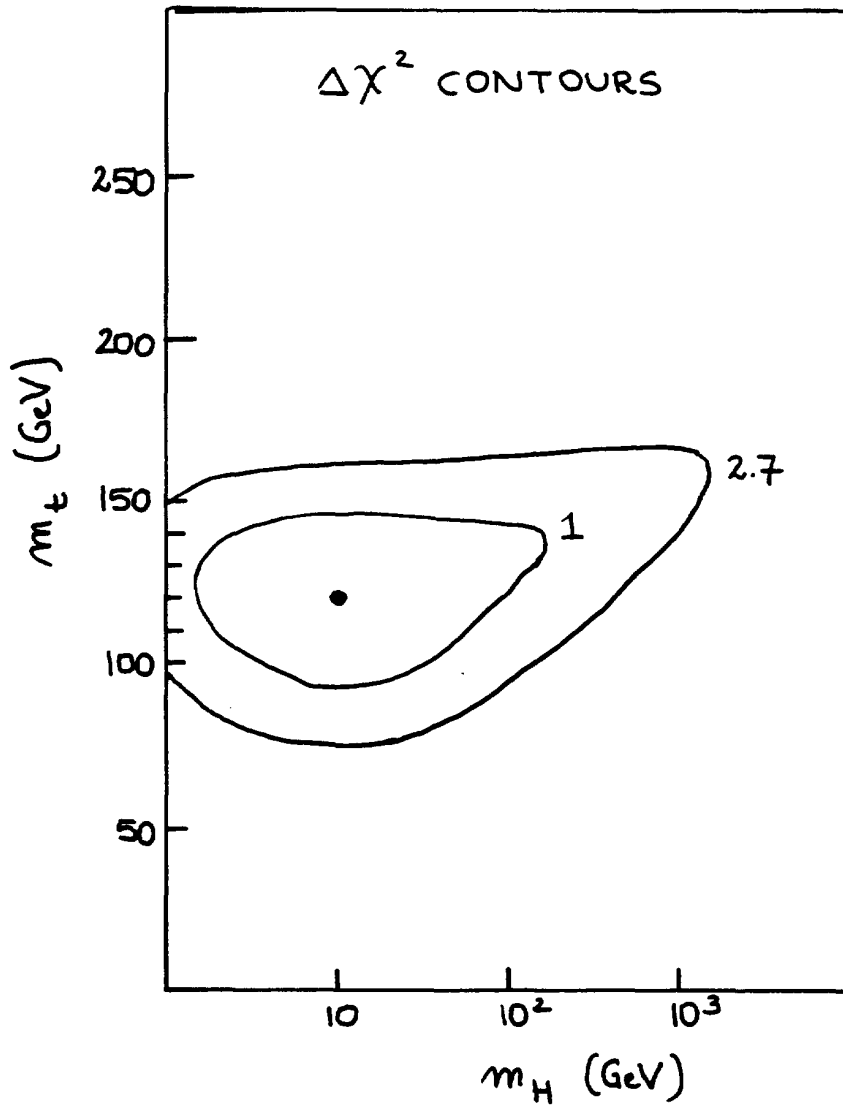
$m_{\tau_0}$

AS FUNCTION OF  $m_{\tau}$ , FOR  $m_{\tilde{g}} = 1 \text{ TeV}$ :



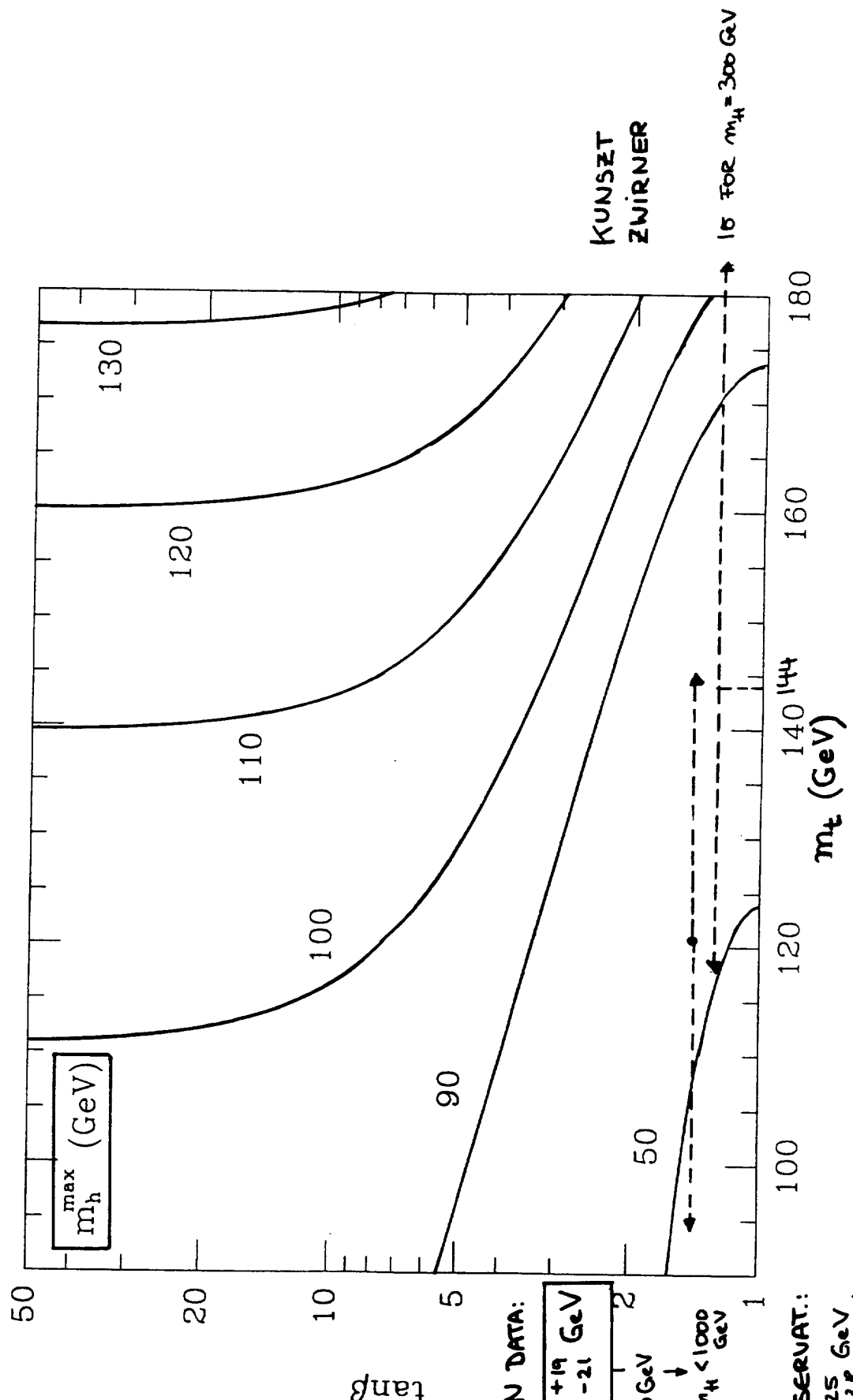
ELLIS  
 RIDOLFI  
 ZWIRNER  
 PHY. LETT. B257  
 (1991), 83

UNCONSTRAINED GLOBAL FIT  
USING ALL DATA



ELLIS  
FOGLI  
LISI

MAX. VALUE FOR  $m_{h^0}$  REACHED FOR  $m_{A^0} \rightarrow \infty$ ,  $m_{\tilde{g}} = 1 \text{ TeV}$ :



LEP,  $P\bar{P}$ ,  $\gamma\gamma$  DATA:

$$m_{\tilde{t}} = \begin{matrix} +39 & +19 \\ 144 & -26 & -21 \end{matrix} \text{ GeV}$$

$m_H = 300 \text{ GeV}$   
 $50 < m_H < 1000 \text{ GeV}$

LESS CONSERVAT.:

$$m_{\tilde{t}} = \begin{matrix} +24 & +25 \\ 124 & -28 \end{matrix} \text{ GeV}$$

$m_H = 50^{+192}$  : EXP. CONSTR. IMPOSED

SEE : D. SCHAILE, CERN-PPE/91-167

--- ELLIS, FOGLI, LISI

SUSY HIGGS SECTOR : COUPLINGS TO  
FERMIONS AND VECTOR BOSONS

	$u\bar{u}$	$d\bar{d}, \ell\bar{\ell}$	$WW, ZZ$
$h^0$	$\frac{\cos\alpha}{\sin\beta}$	$-\frac{\sin\alpha}{\cos\beta}$	$\sin(\beta-\alpha)$
$H^0$	$\frac{\sin\alpha}{\sin\beta}$	$\frac{\cos\alpha}{\cos\beta}$	$\cos(\beta-\alpha)$
$A^0$	$\cot\beta$	$\tan\beta$	0
	$u\bar{d}$	$\tau\nu$	$WZ, W\bar{W}$
$H^\pm$	$m_u \cot\beta$ $m_d \tan\beta$	$m_\tau \tan\beta$	0

} FACTOR SM-  
COUPLINGS  
HAVE TO BE  
MULTIPLIED WITH

WITH  $\cos 2\alpha = -\cos 2\beta \left( \frac{m_{A^0}^2 - m_Z^2}{m_{H^0}^2 - m_{Z^0}^2} \right)$   $\left( -\frac{\pi}{2} < \alpha < 0 \right)$

→ STUDY GENERAL FEATURES IN  $(\tan\beta - m_{A^0})$ -PLANE  
USING  $m_t = 140 \text{ GeV}$ ,  $m_{\tilde{g}} = 1 \text{ TeV}$

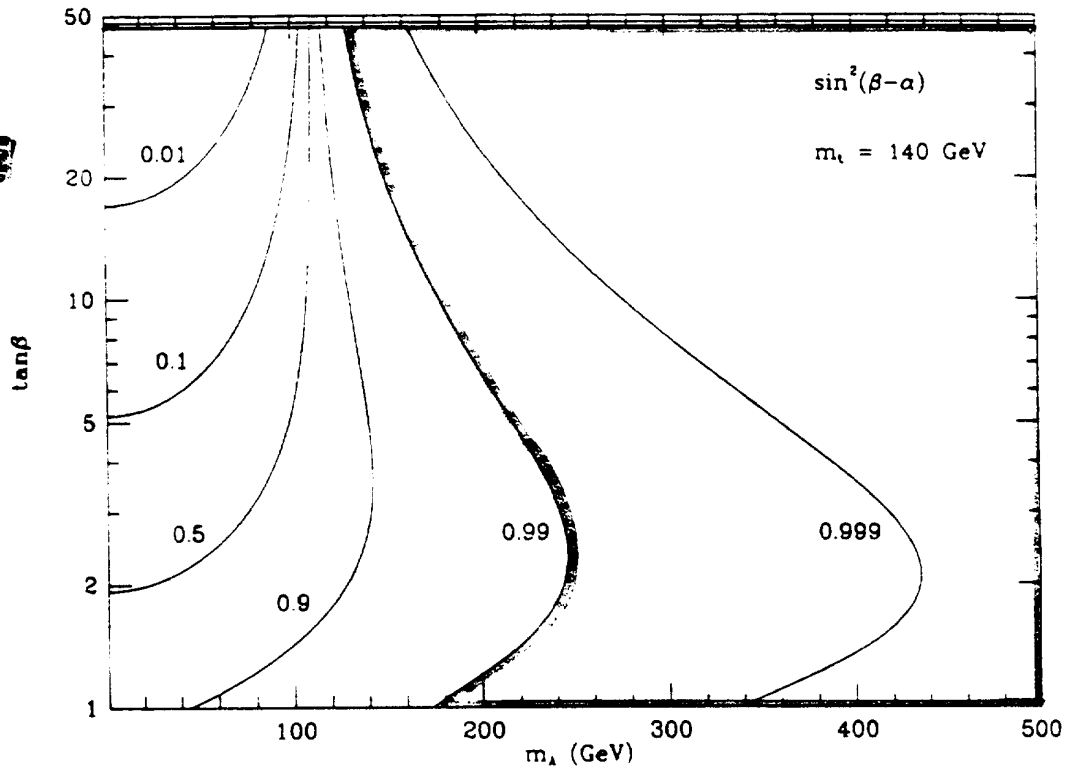
IN AREA WHERE COUPLINGS  $\sim 1$ :  $H_{\text{SUSY}} \sim H_{\text{SM}}$



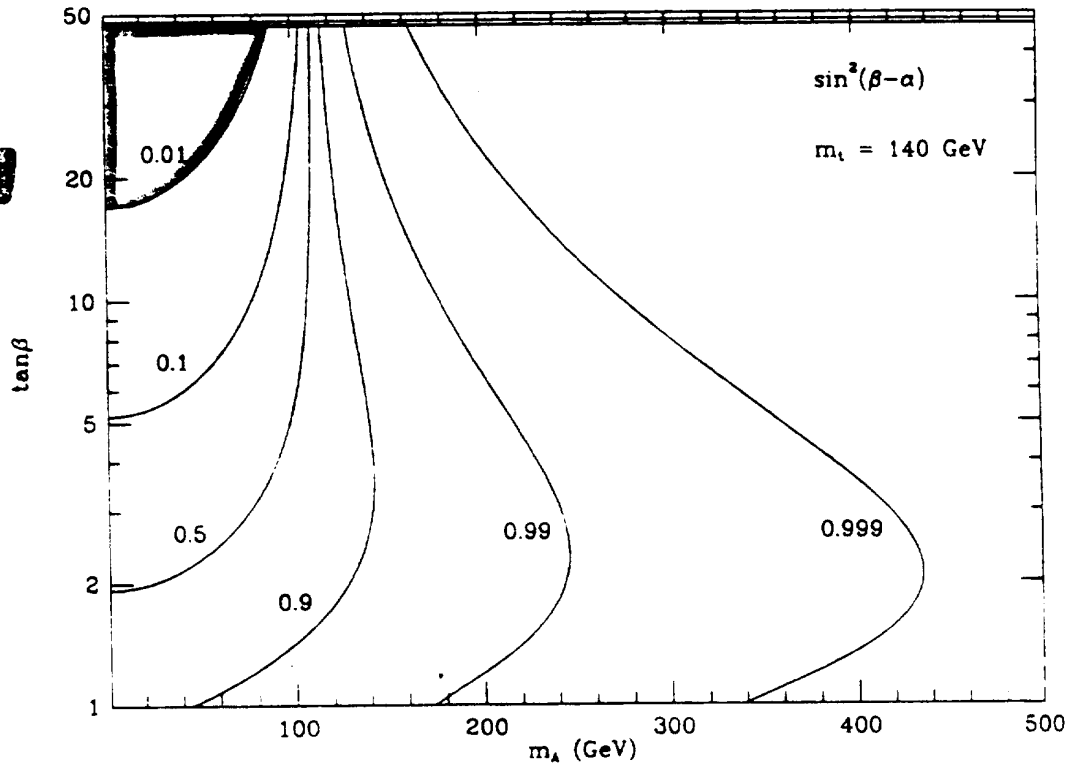
CURVES FROM KUNSZT & ZWIRNER  
CERN - TH. 6150/91  
ETH - TH/91-7



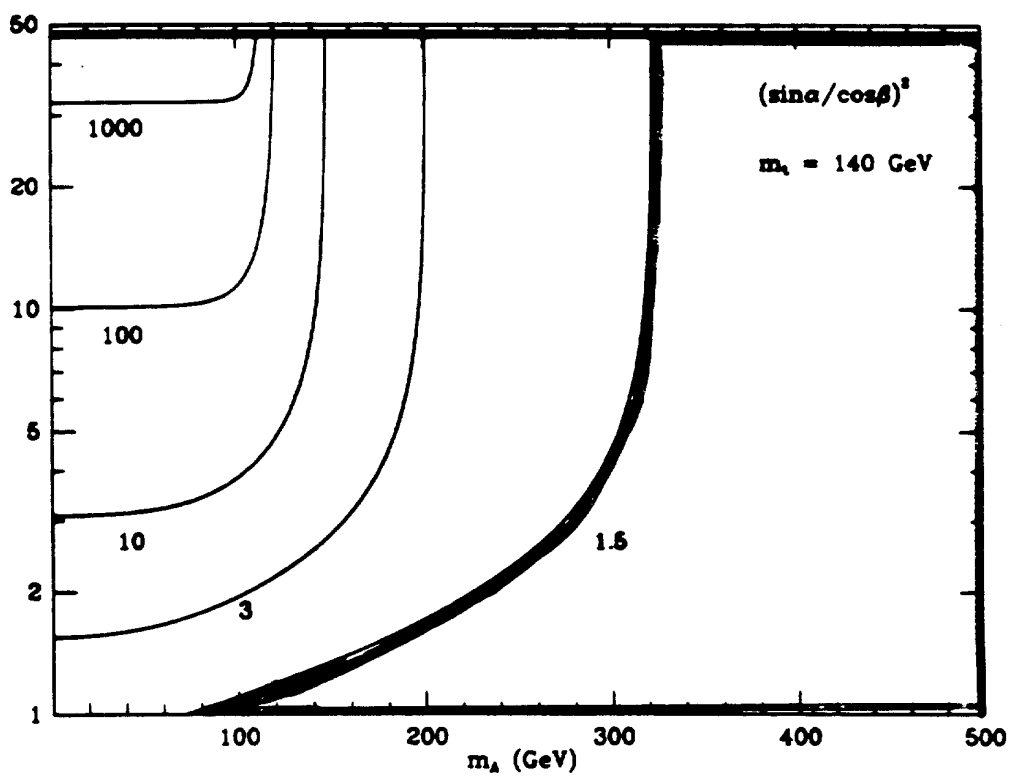
$h^0 VV$   
 $> 0.99 \approx$



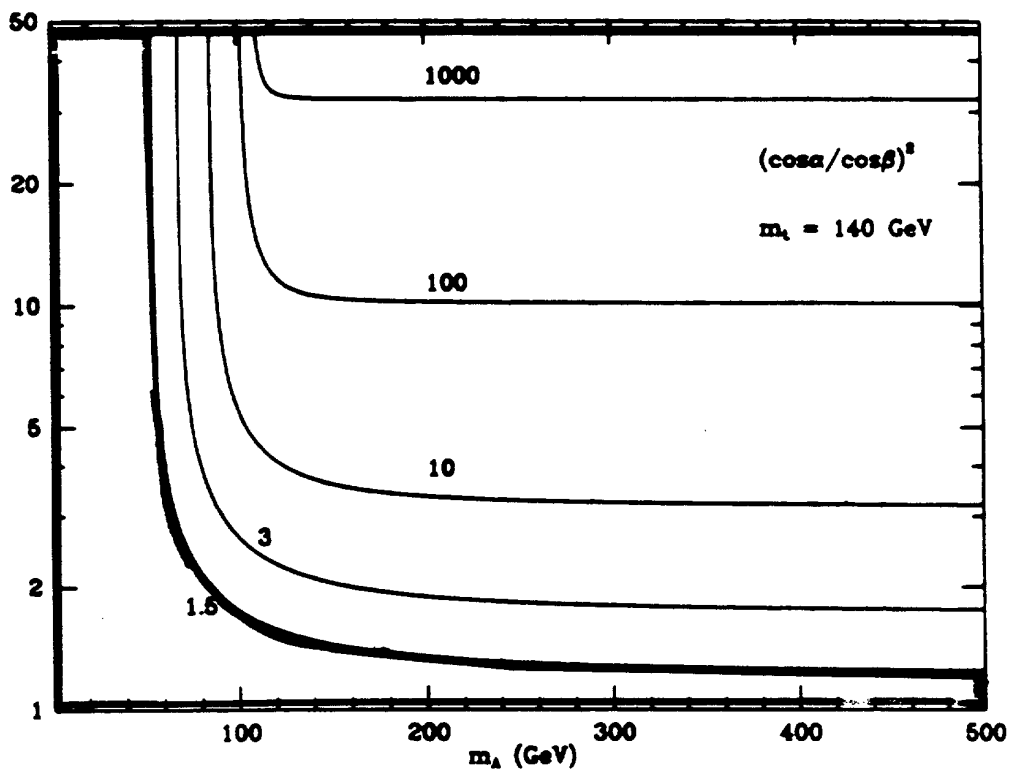
$H^0 VV$   
 $> 0.99 \approx$

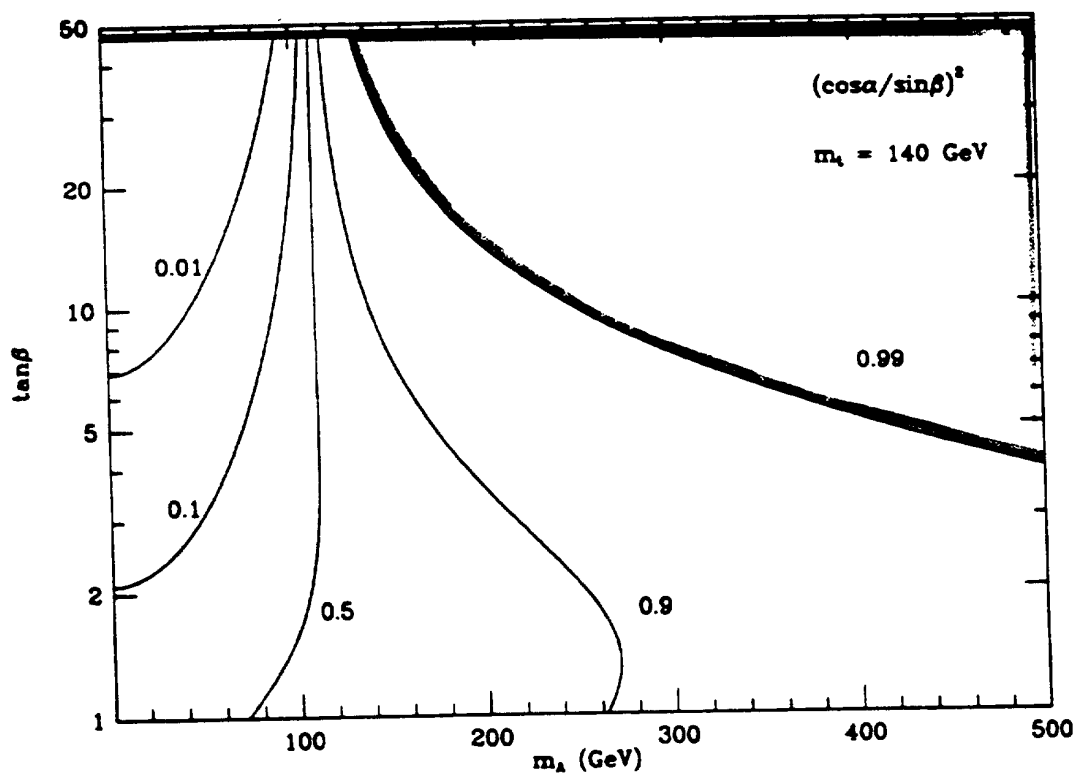
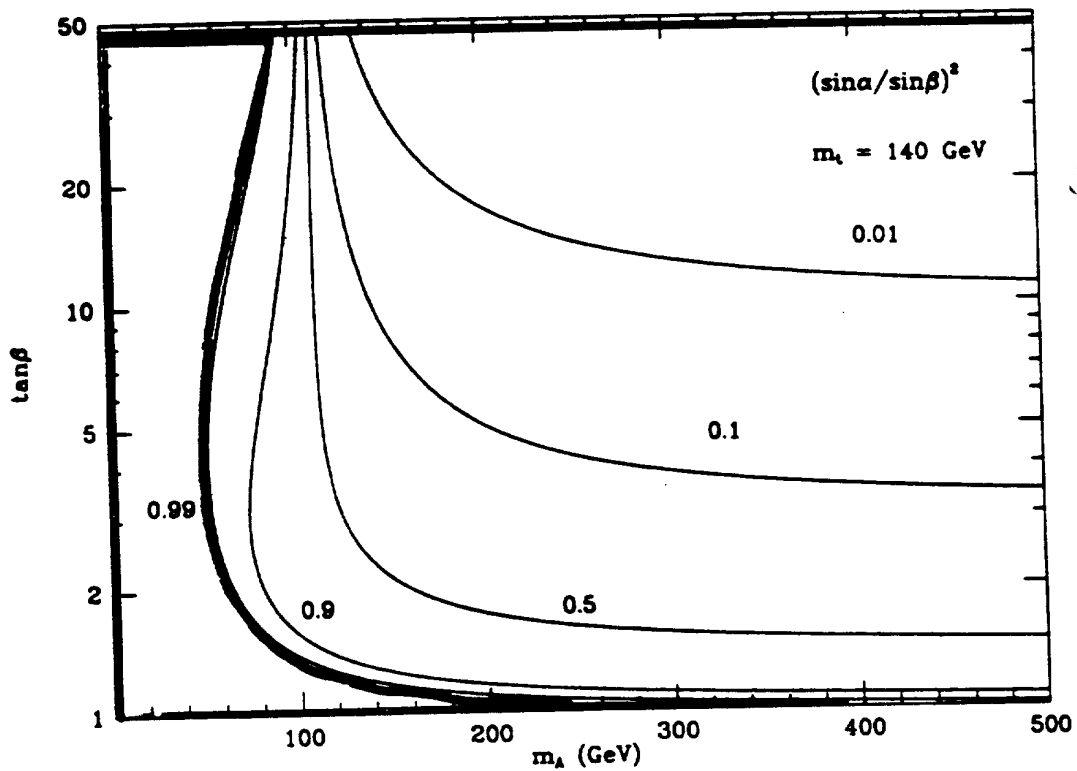


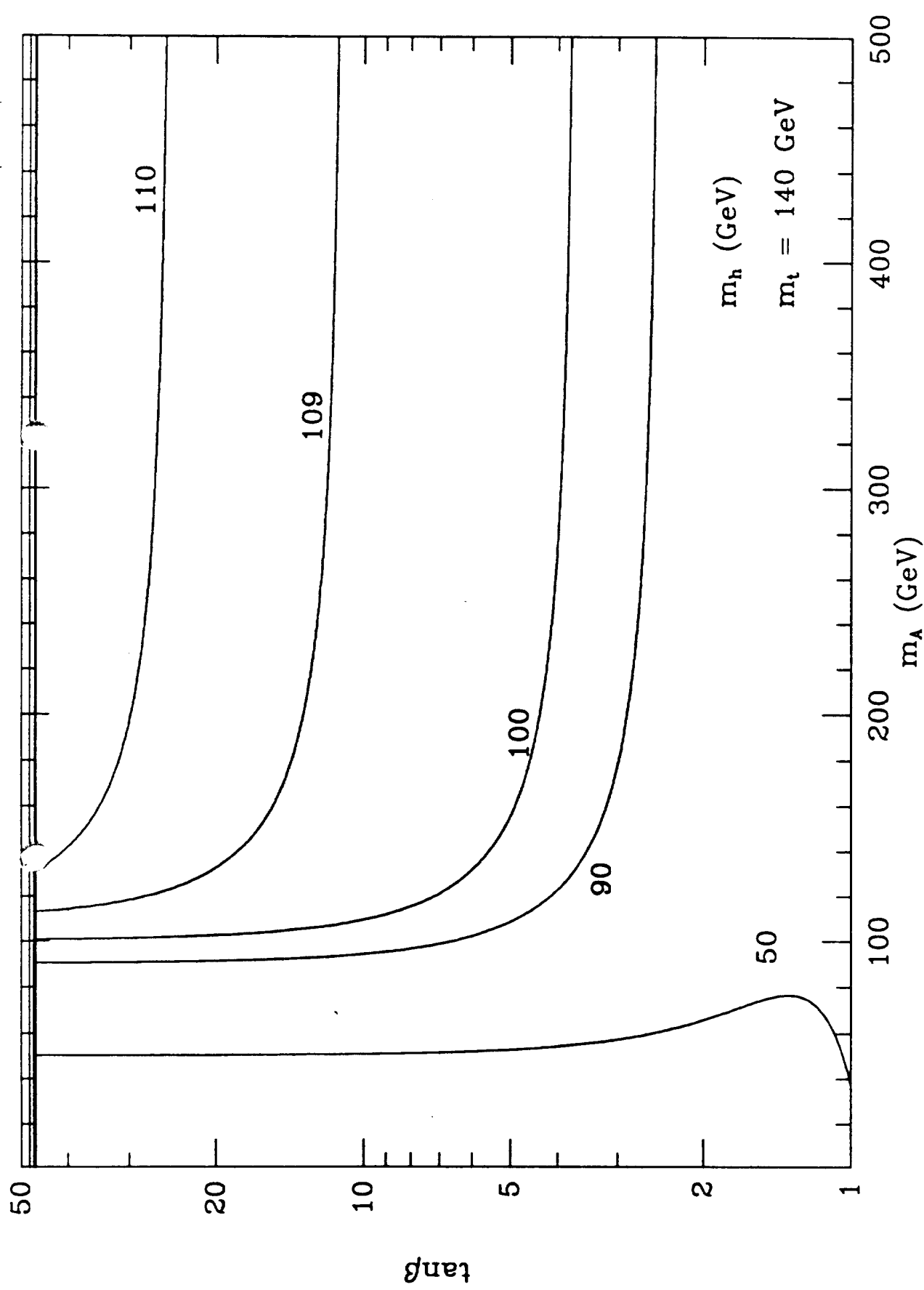
$h^0 b\bar{b}$   
A BIT LARG.  
THAN SM

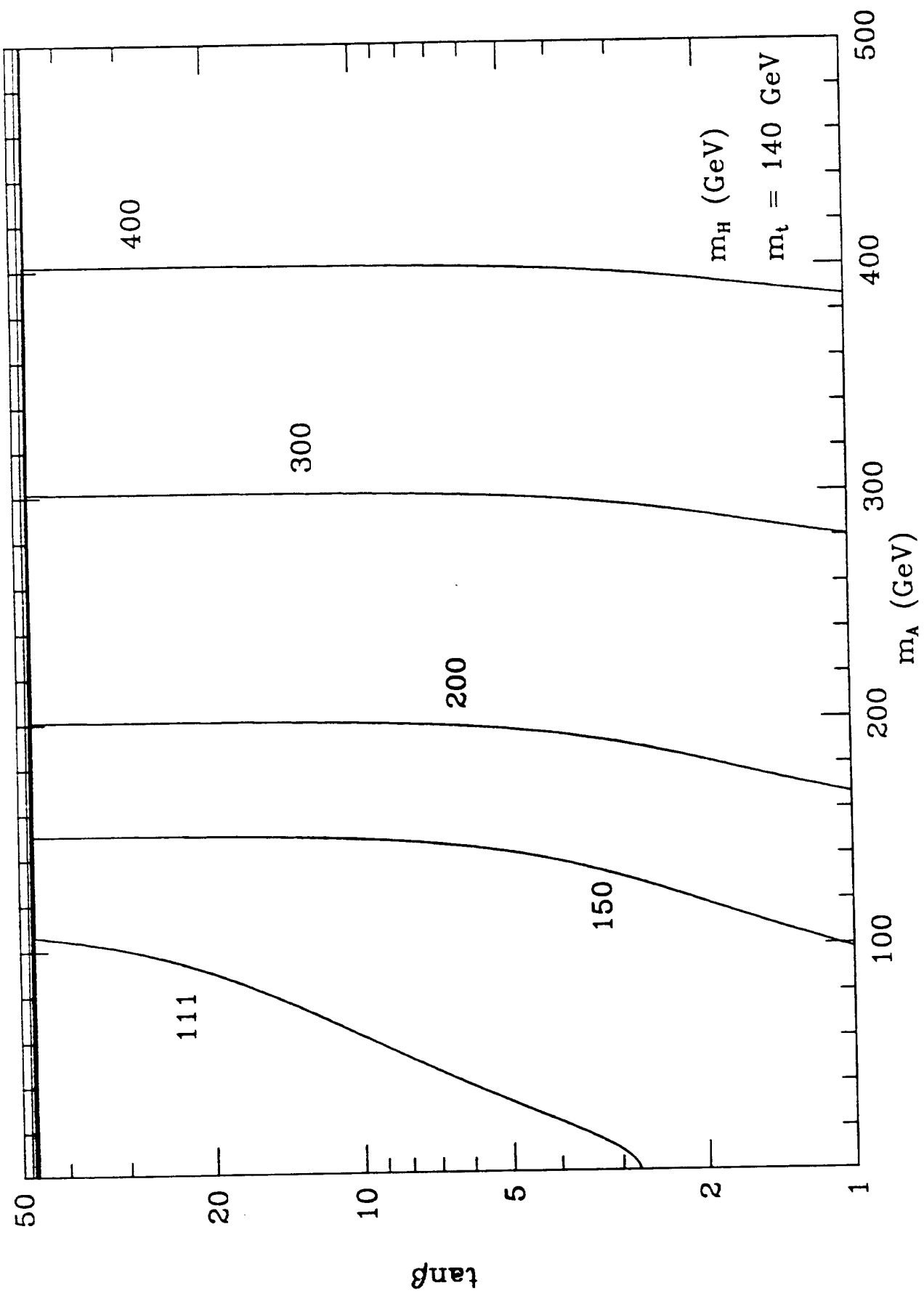


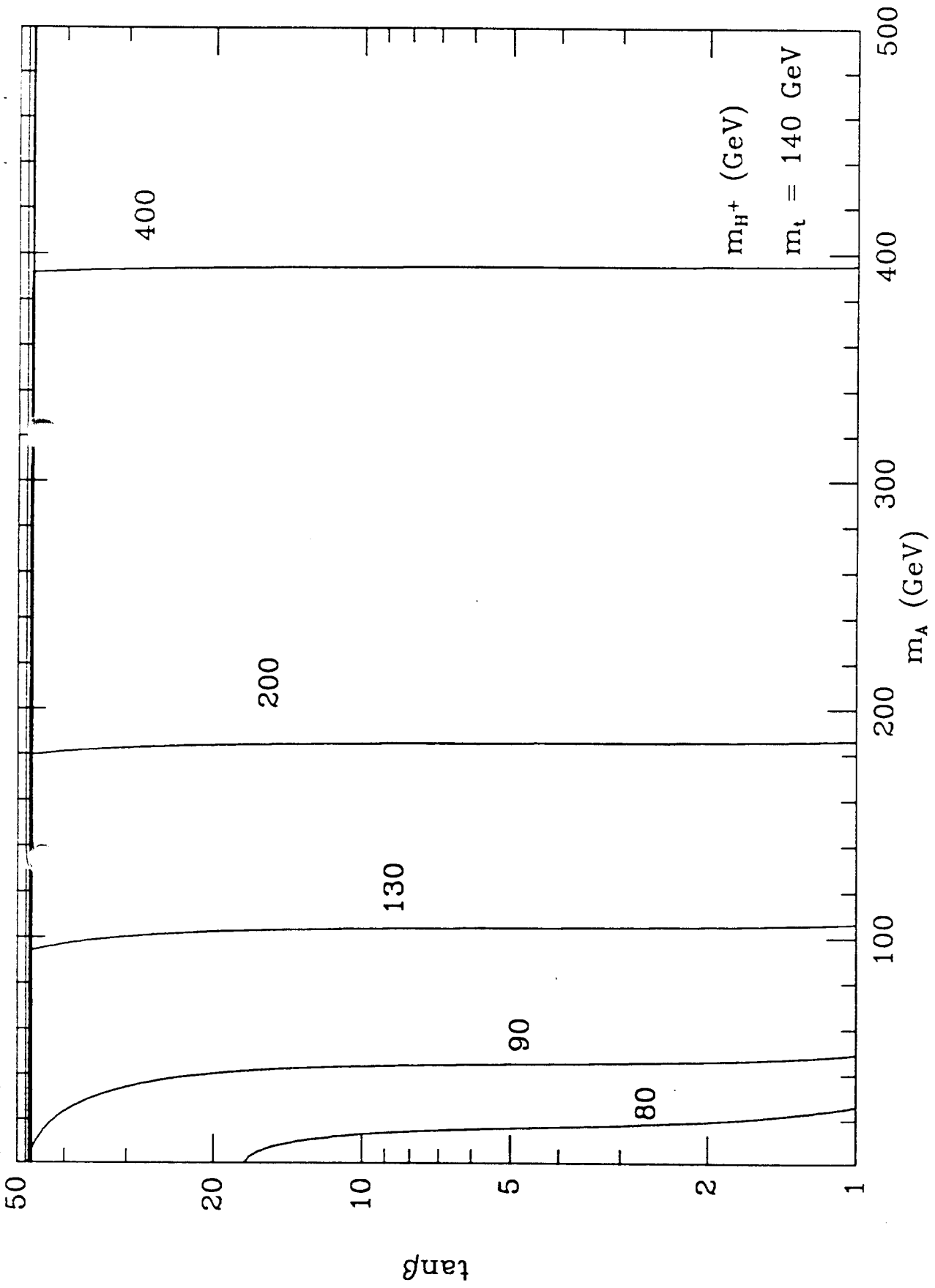
$H^0 b\bar{b}$   
A BIT LARG.  
THAN SM



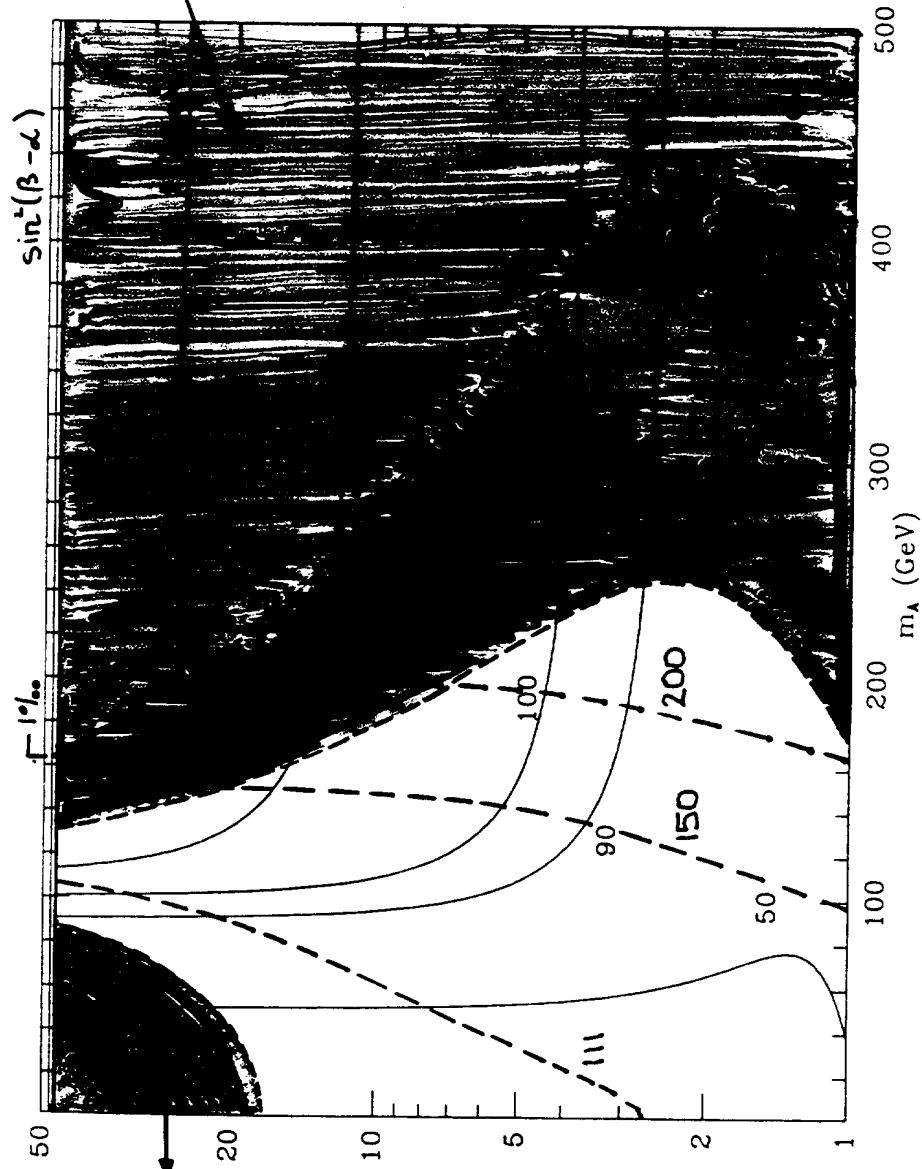
$h^0 t \bar{t}$  $H^0 t \bar{t}$ 







WHERE  $h^0$  OR  $H^0$  LIKE SM HIGGS TO 1%



$H^0$  LIKE  $H_{SM}$

$m_A < m_Z$   
 $\tan\beta \gg 1$

$m_{H^0} \sim 100$  GeV  
 $\tan\beta$

$h^0$  LIKE  $H_{SM}$

$m_A \gg m_Z : \forall \tan\beta$   
 $m_A > m_Z : \text{FOR LARGE } \tan\beta$

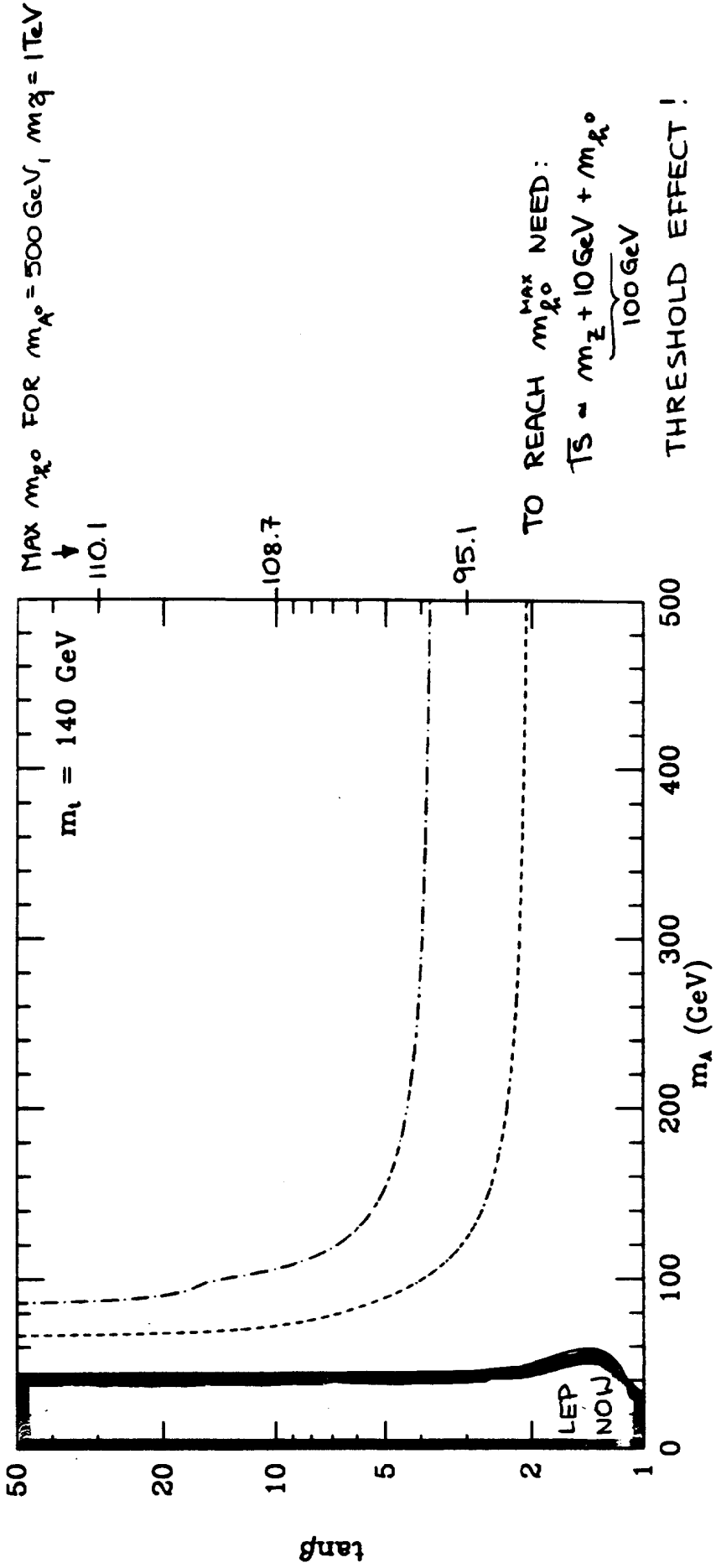
$m_{H^0} \sim 100$  GeV

FOR  $m_A \approx 200$  GeV:  
 $m_A \sim m_{H^0} \sim m_{H^\pm}$

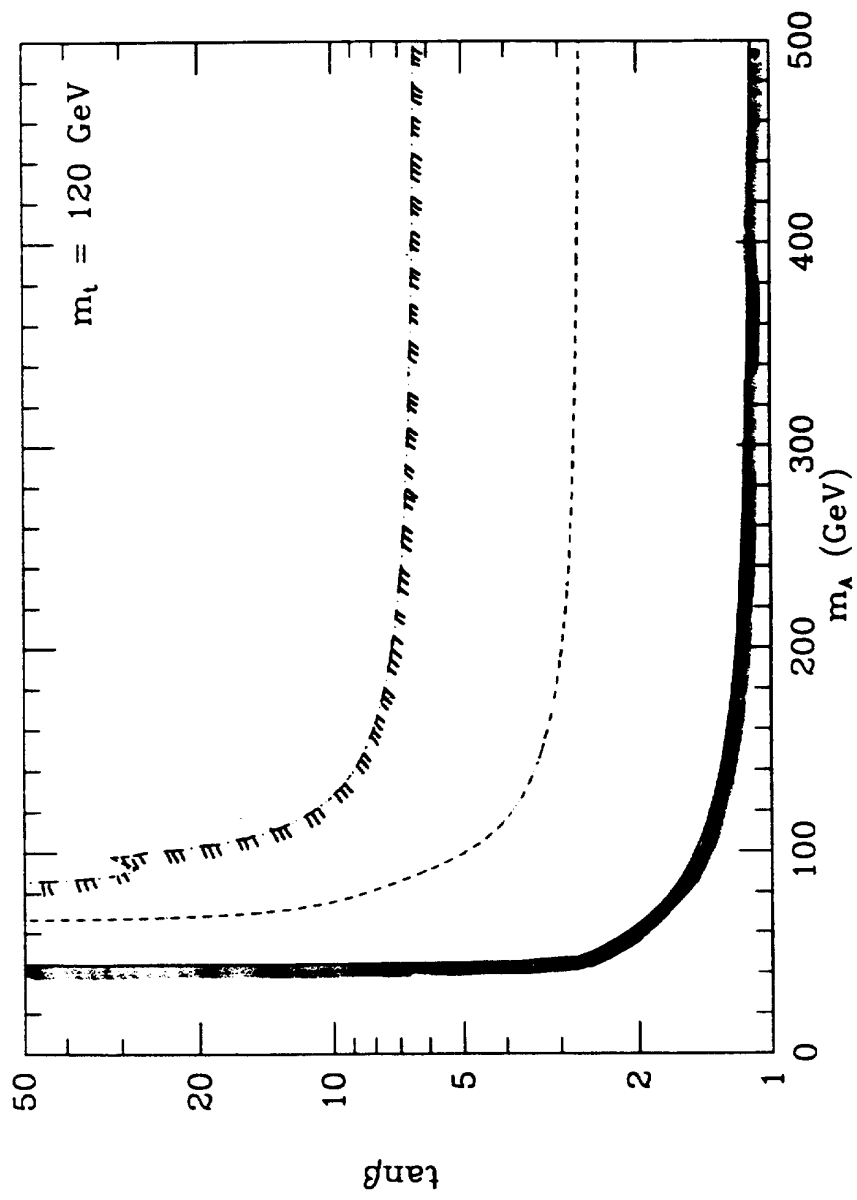
- ➔ WHAT OF HIGGS PARAMETER SPACE CAN BE COVERED BY LEP200 ?
- ➔ WHAT ARE THE POSSIBLE SIGNATURES AT THE LHC FOR  $h^0, H^0$  ?

PRESENT LEP LIMITS AND FUTURE EXPECTATIONS FROM LEP200 :

---  $\sigma(e^+e^- \rightarrow hZ, hZ, hA, HA) = 0.2 \text{ pb}$  AT  $\sqrt{s} = 175 \text{ GeV}$   
 - - - =  $0.05 \text{ pb}$  AT  $\sqrt{s} = 190 \text{ GeV}$



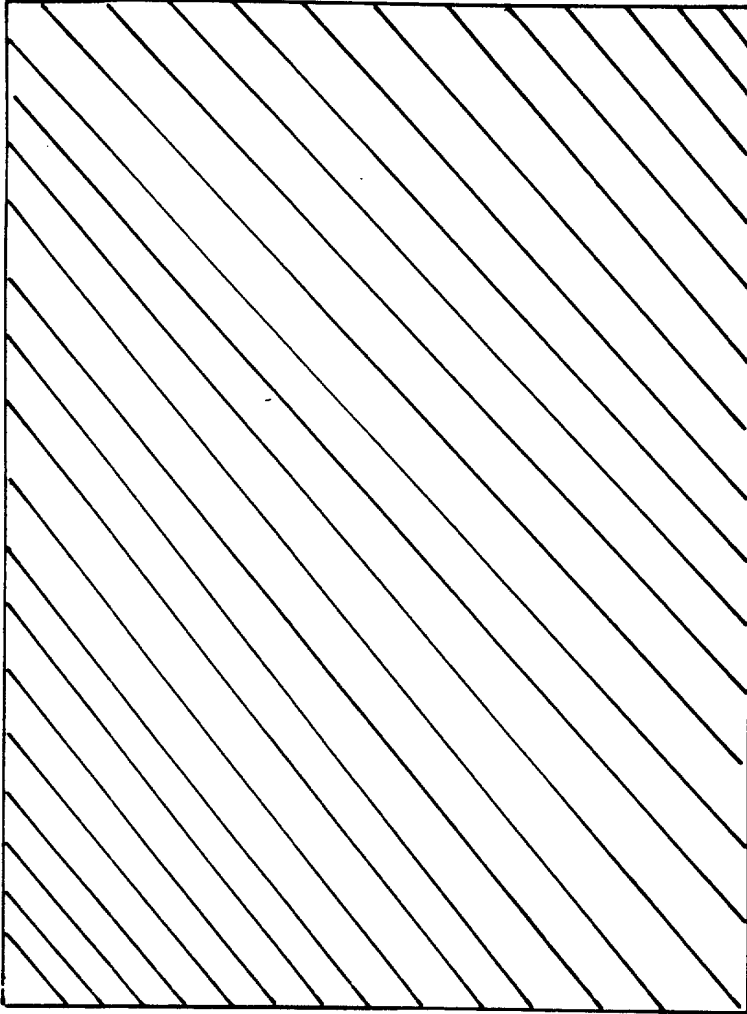




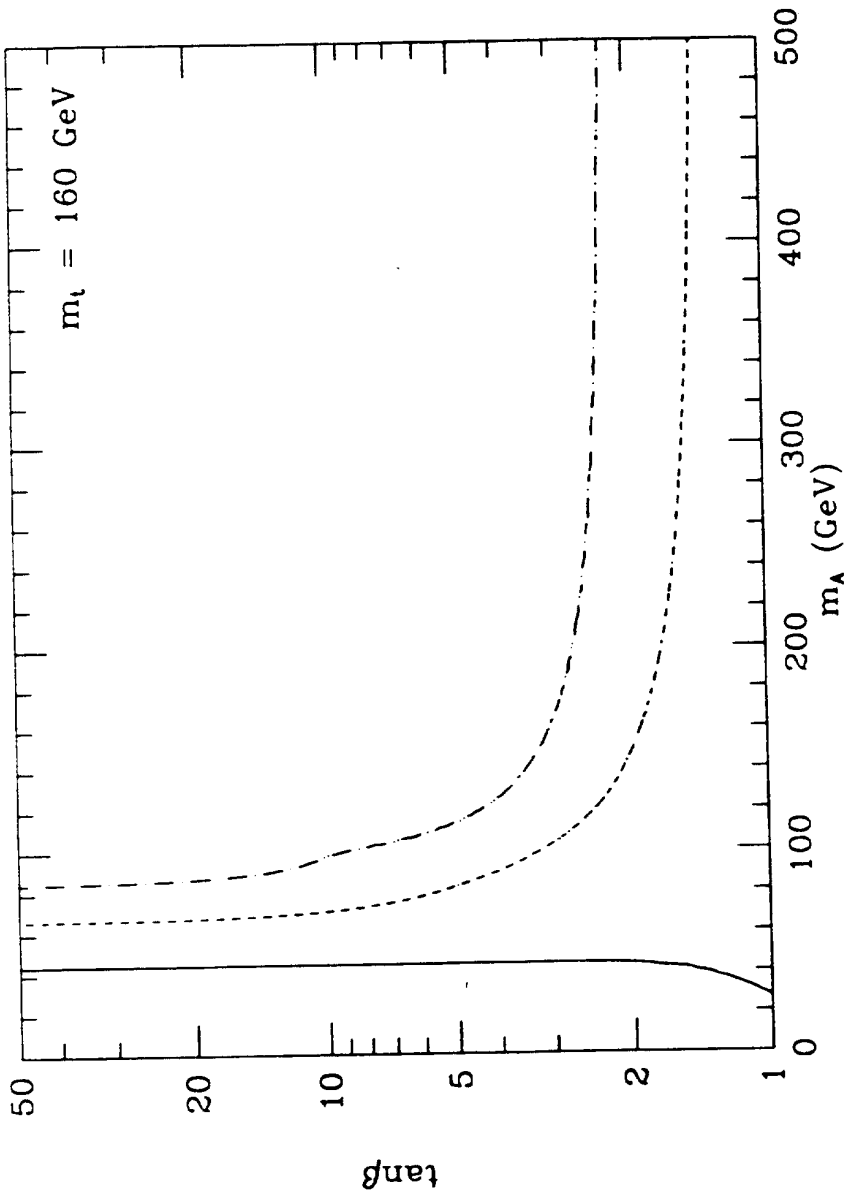
102.5

101.0

86.4



  $m_t = 120 \text{ GeV}$  } DISCOVERY (EXCLUSION)  
 $TS \approx 200 \text{ GeV}$  } REGION

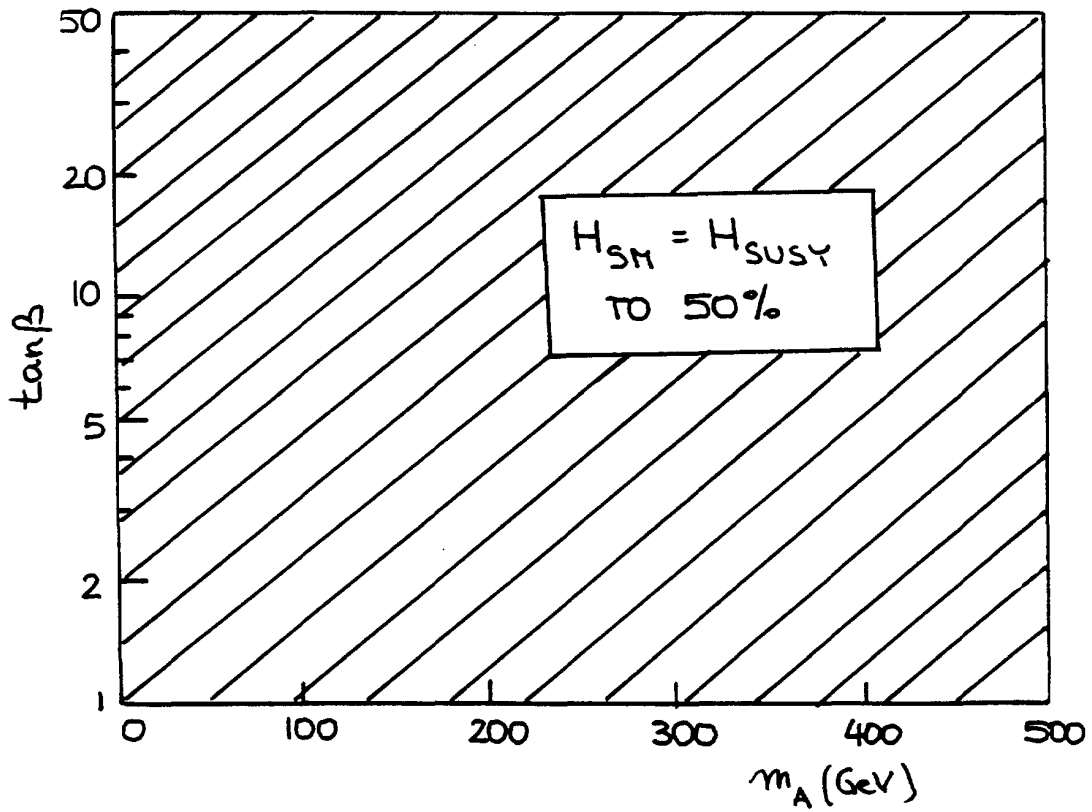
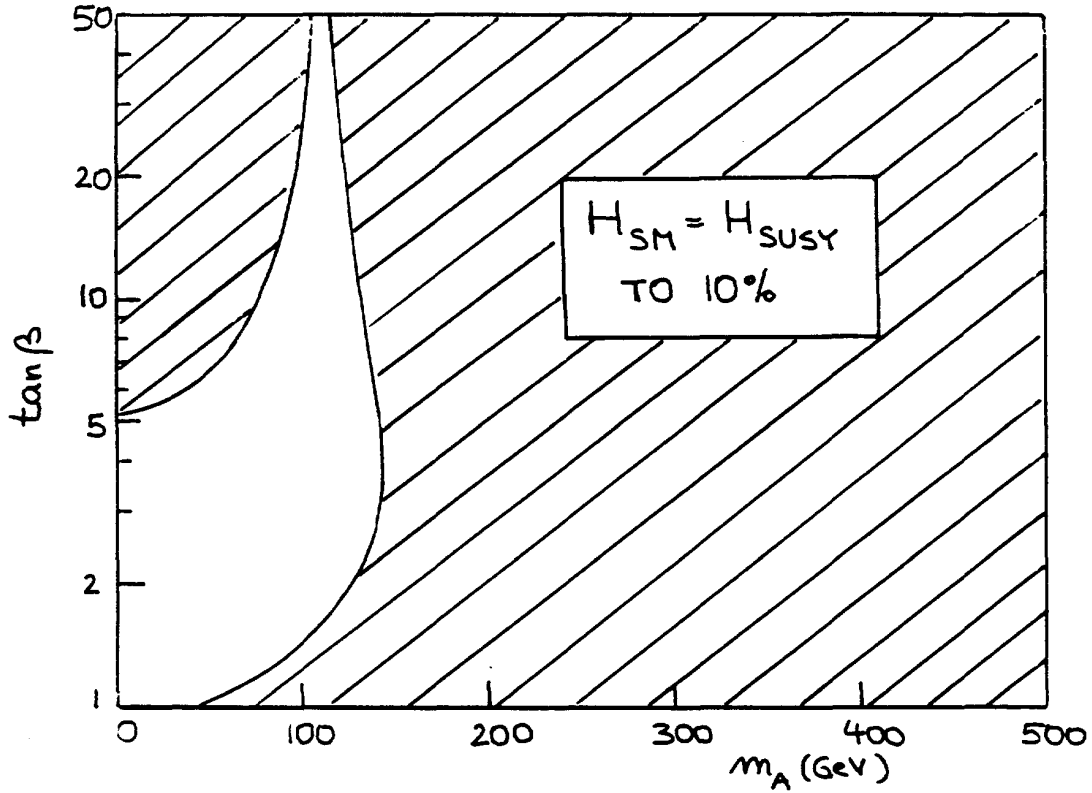


120.0

118.7

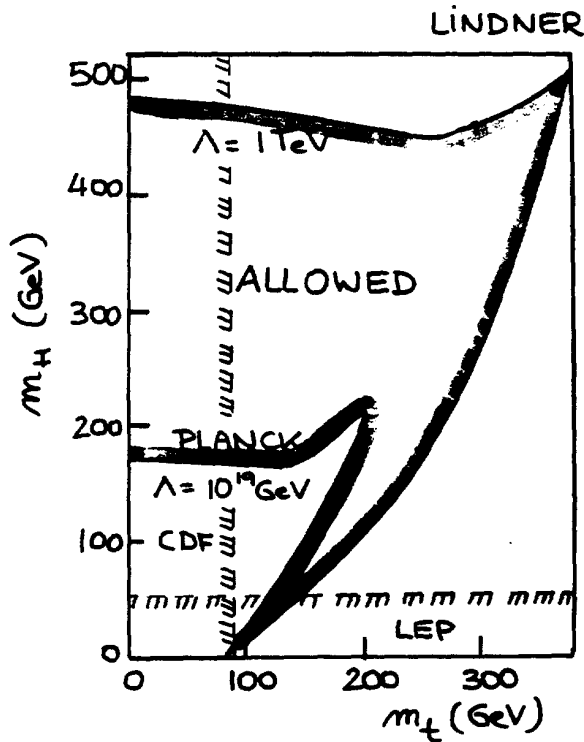
106.3

AREA WHERE  $H_{SM} = H_{SUSY}$  DEPENDS ON  
EXPERIMENTAL ACCURACY OF THE  
CROSS SECTION MEASUREMENT AT LEP :



HOW LIKELY IS A HIGGS OF  $\sim 100$  GeV?

STANDARD MODEL: HIGGS CANNOT BE TOO HEAVY:



$\Lambda$ : SCALE WHERE  
PERTURB. THEORY  
BREAKS DOWN

SUPERSYMMETRY: AT LEAST ONE HIGGS ( $\equiv h^0$ )  
HAS TO BE IN THE 100 GeV  
MASS RANGE

IF HIGGS FOUND AT LEP : FOR  $H = H_{\text{SUSY}}$  NEED LHC TO FIND  
OTHER HIGGS BOSONS

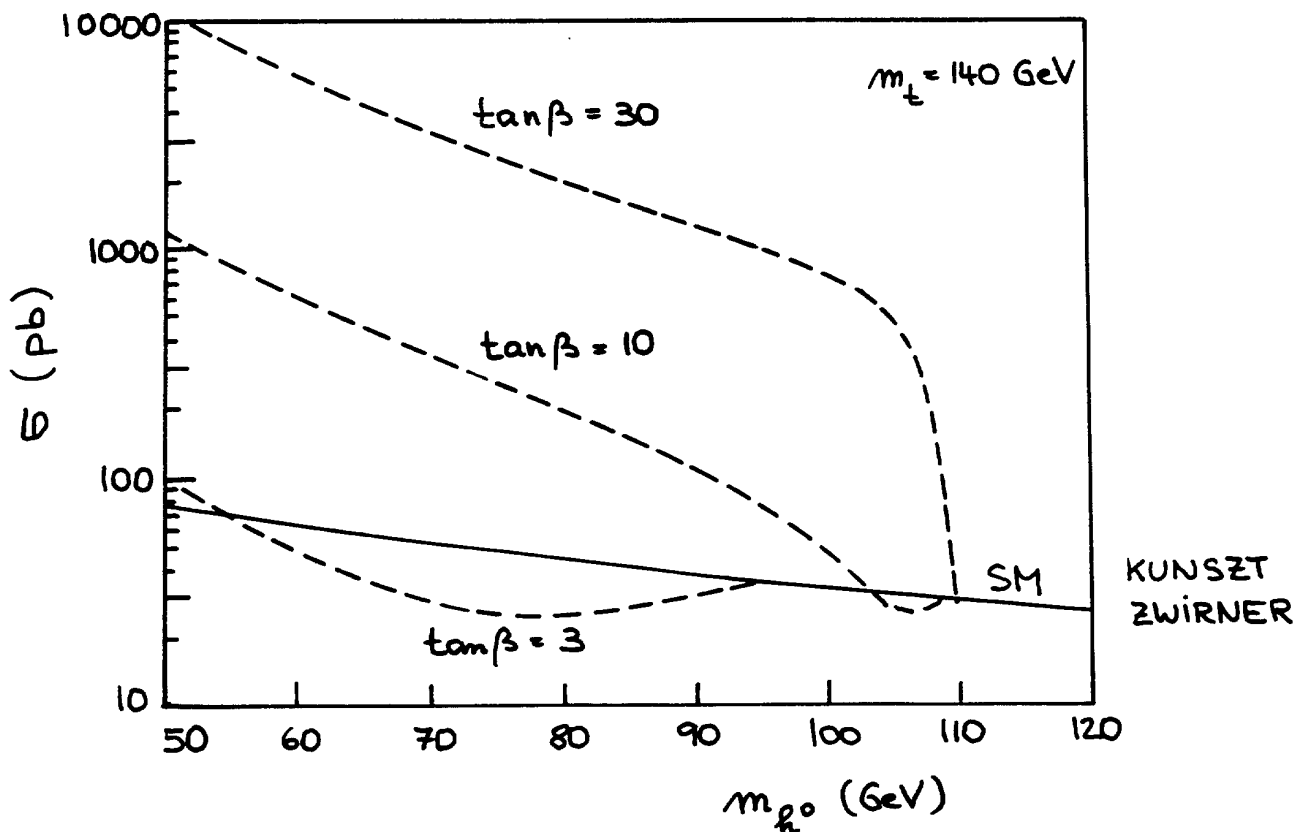
- ➔ HOW TO DISCOVER SUSY-HIGGS BOSONS AT LHC?
- ➔ CAN ONE RULE OUT THE MSSM AT THE LHC VIA  
THE HIGGS SECTOR?

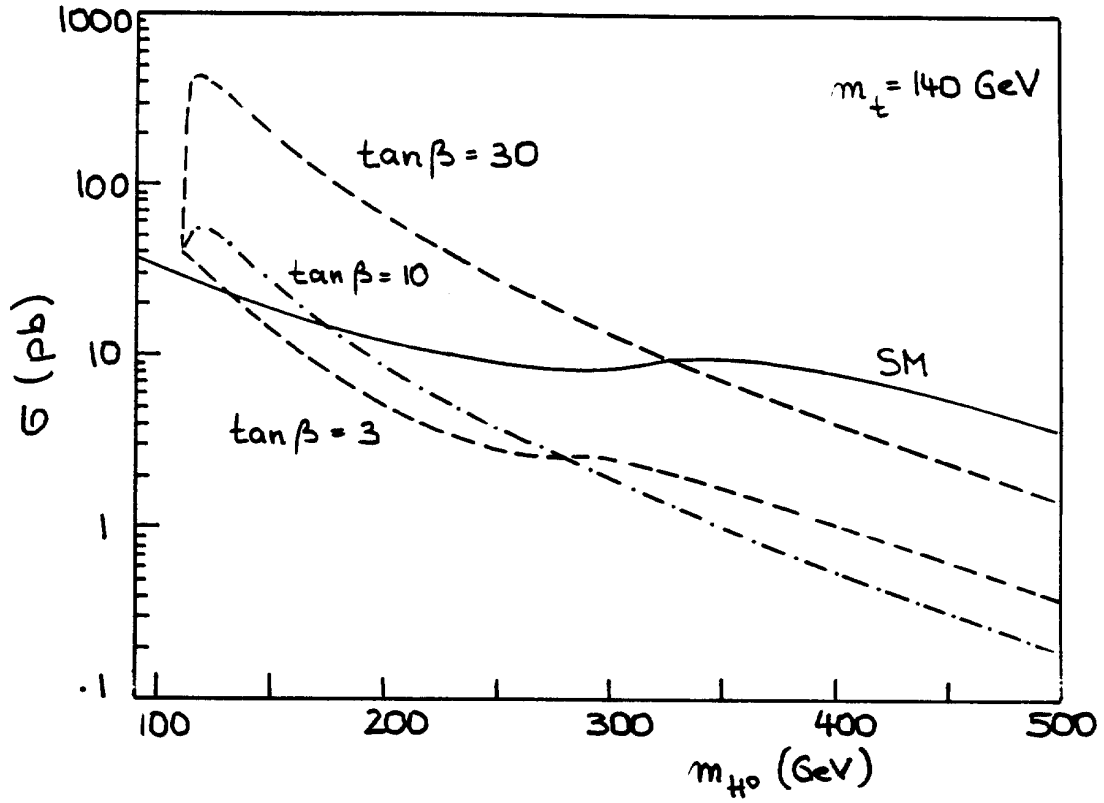
PRODUCTION CROSS SECTIONS  
 FOR  $h^0, H^0, A^0$

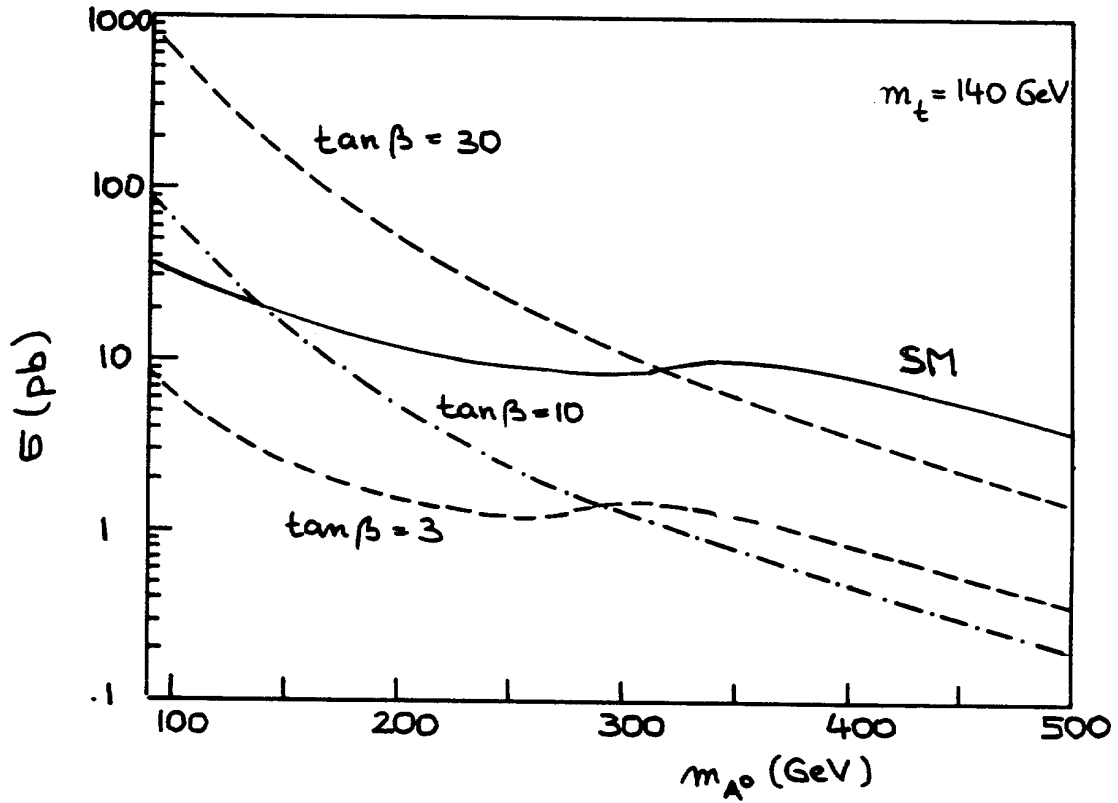
PRODUCTION MECHANISM:

- $gg$  FUSION
- ASSOCIATE PRODUCTION:  $t\bar{t}$   
 LARGE CONTRIBUTION FOR  
 SMALL HIGGS MASSES

$$pp \rightarrow h^0 + X \quad : \quad \sqrt{s} = 16 \text{ TeV}$$

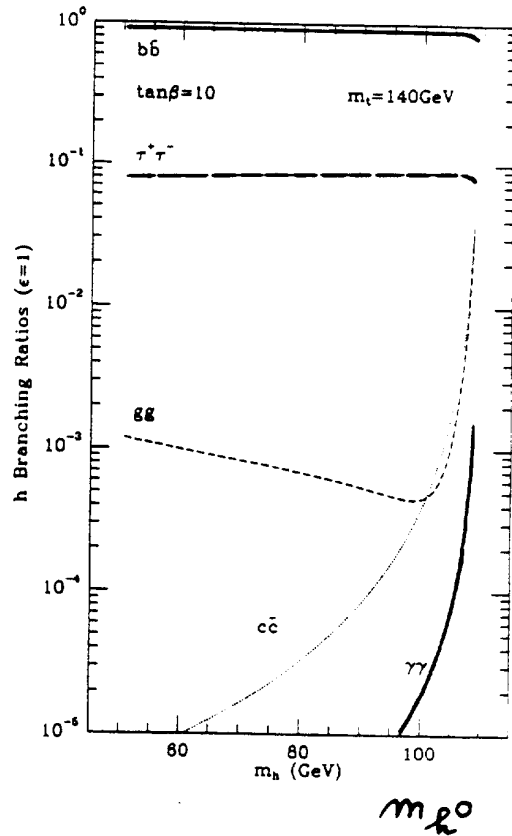
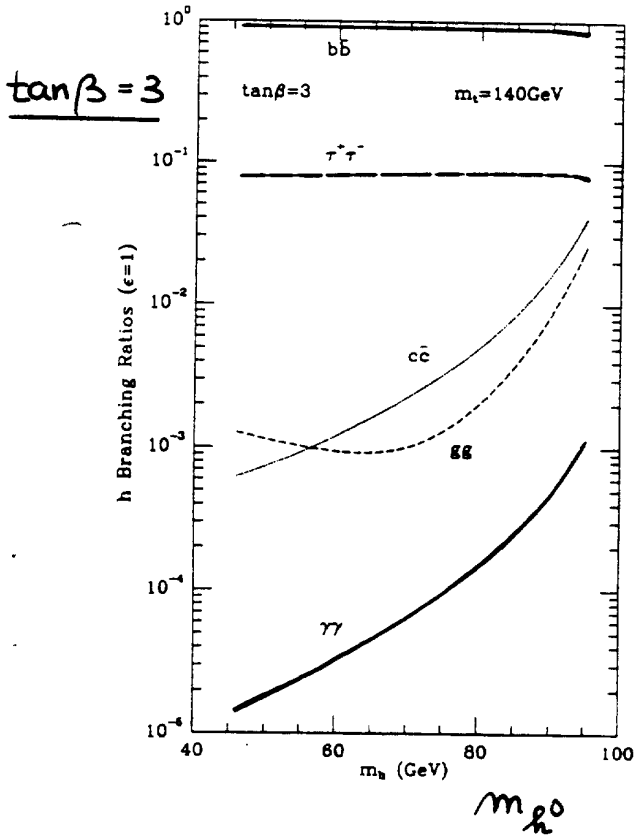
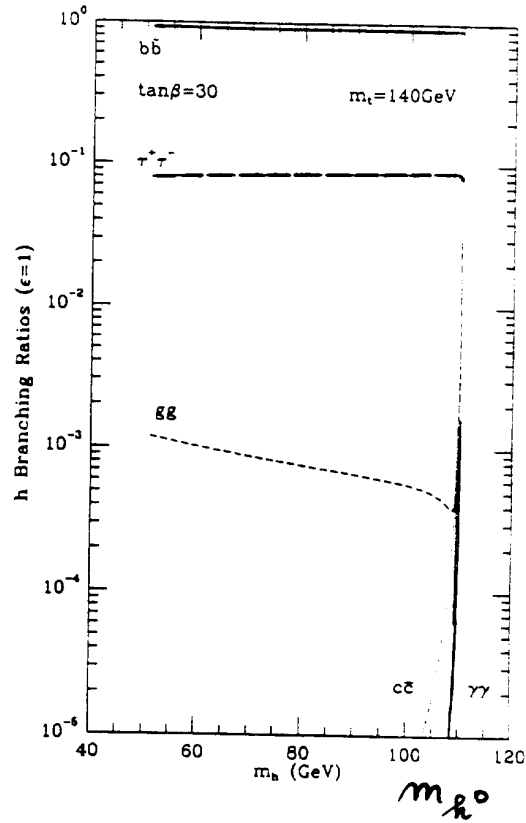
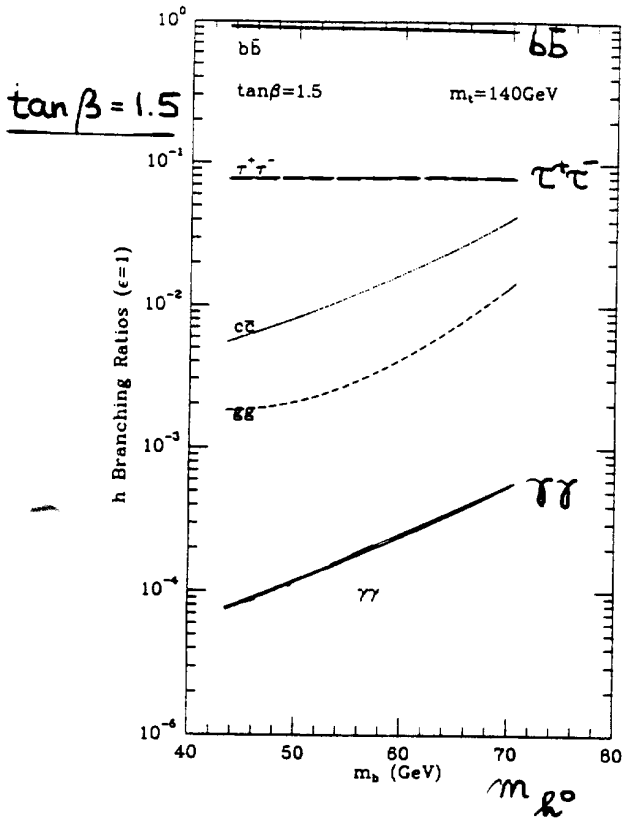


$$PP \rightarrow H^\circ + X$$


$$PP \rightarrow A^\circ + X$$


# MSSM : BRANCHING RATIOS OF $h^0$

FOR  
 $m_t = 140 \text{ GeV}$

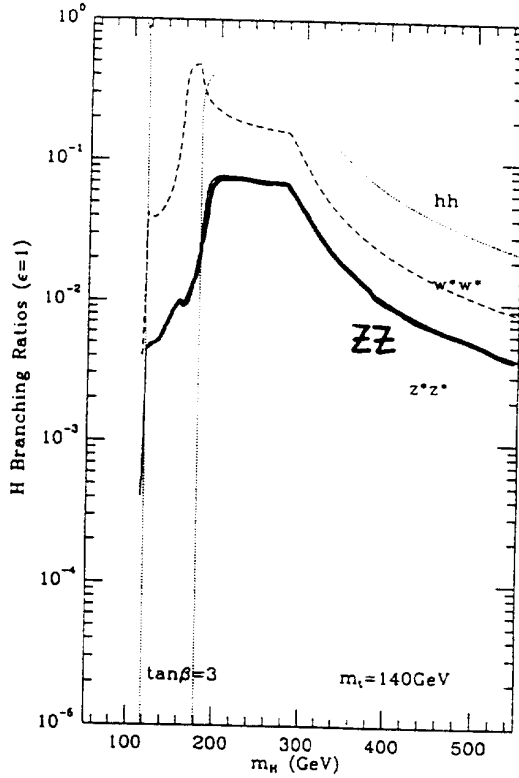
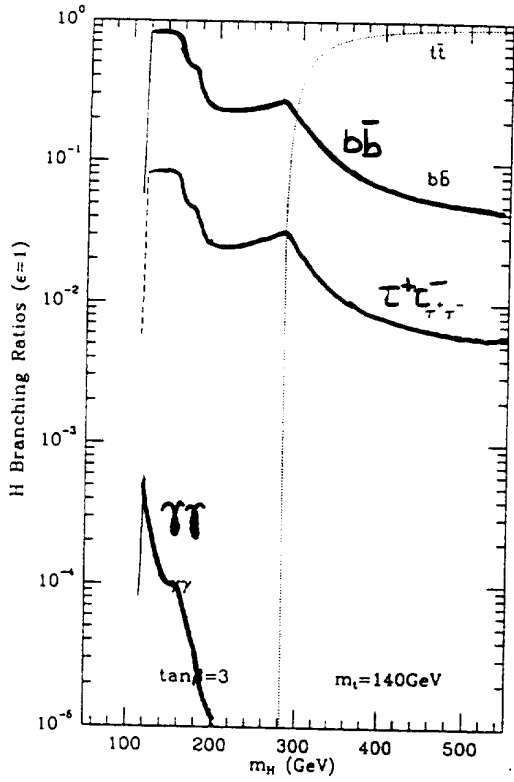


KUNSZT  
ZWIRNER  
ETH - TH / 91 - 7

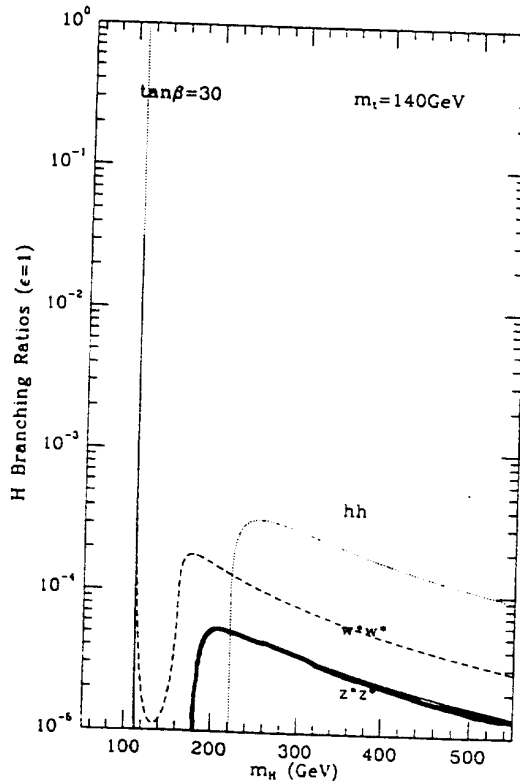
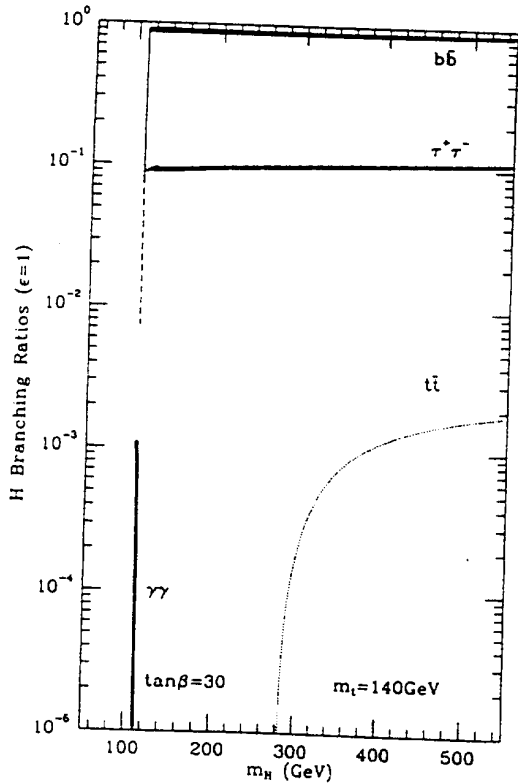


MSSM : BRANCHING RATIOS OF  $H^0$

FOR  $m_t = 140 \text{ GeV}$



$\tan\beta = 3$

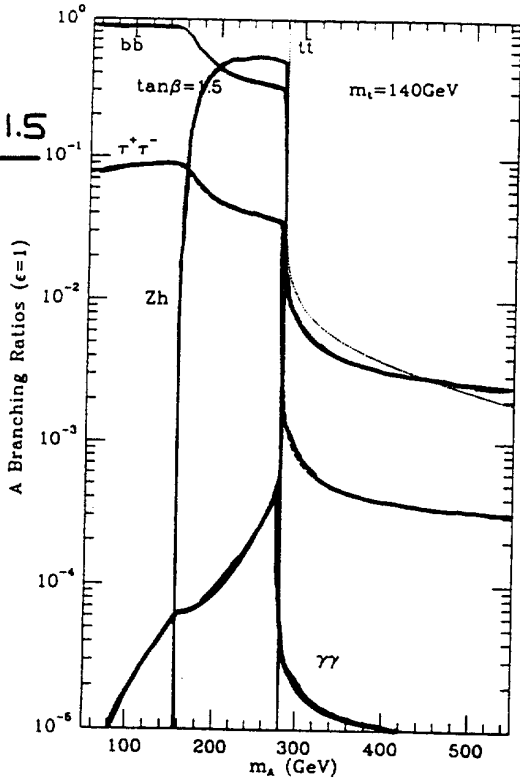


$\tan\beta = 30$

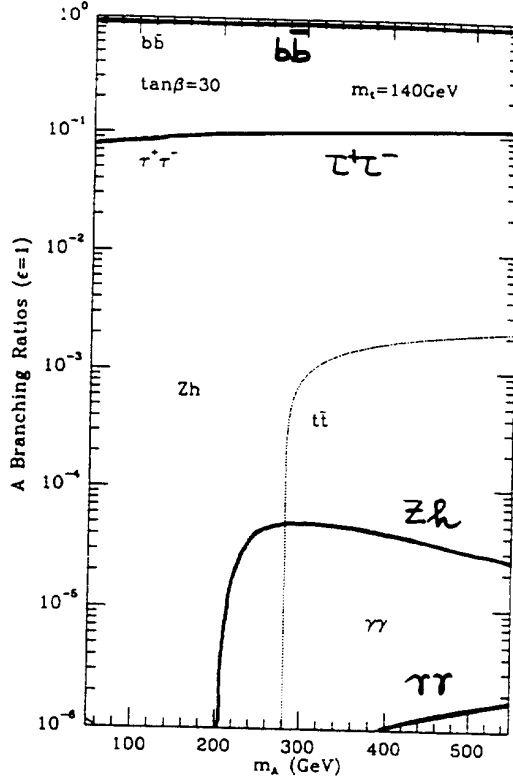
**MSSM: BRANCHING RATIOS OF  $A^0$**

FOR  $m_t = 140 \text{ GeV}$

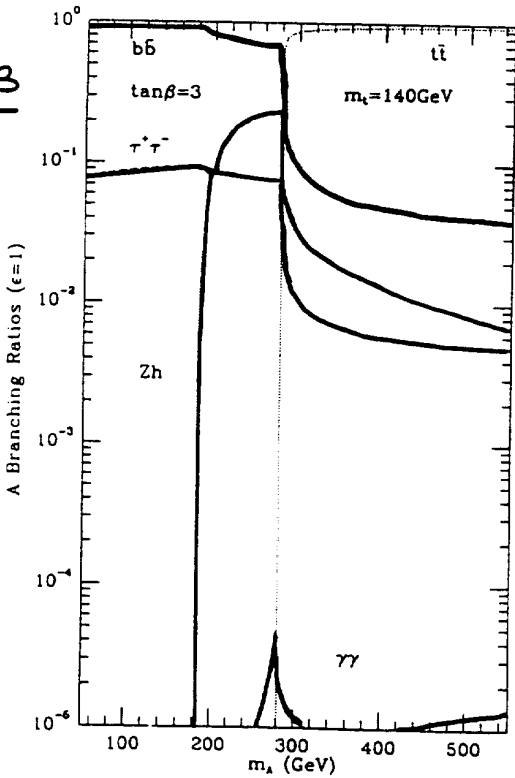
$\tan\beta = 1.5$



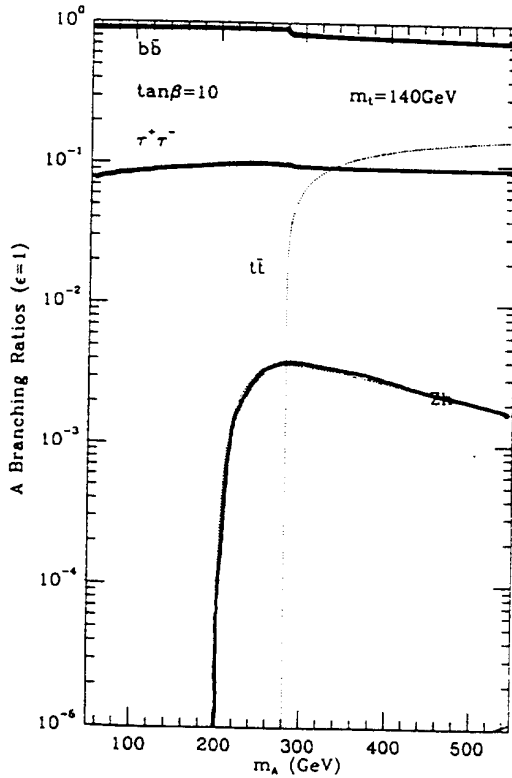
$\tan\beta = 30$



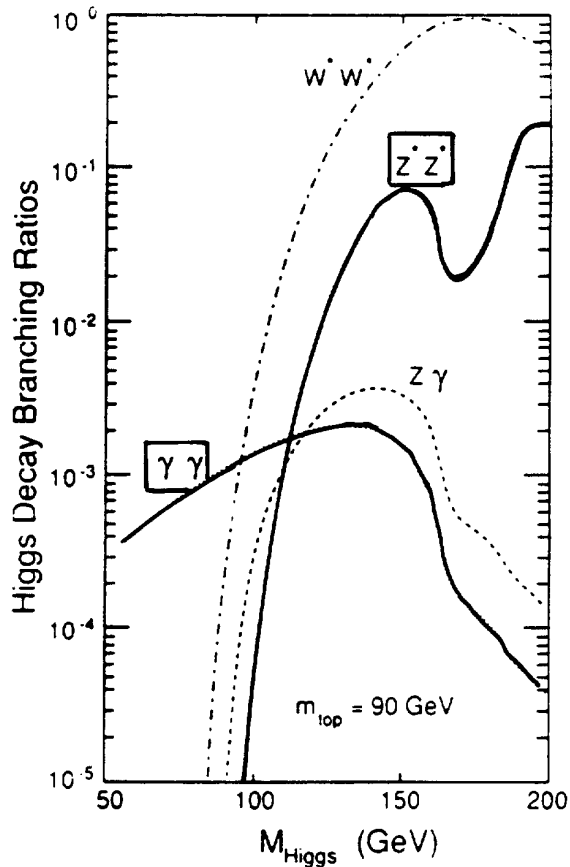
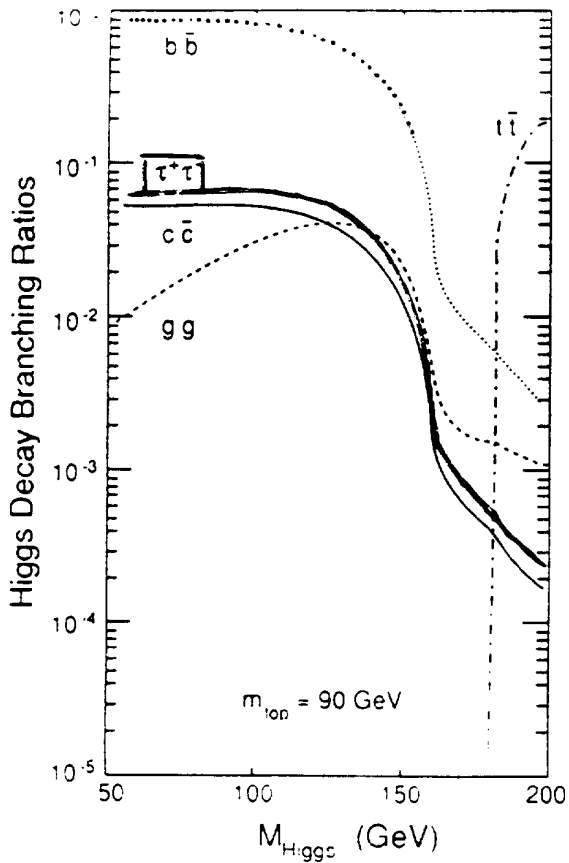
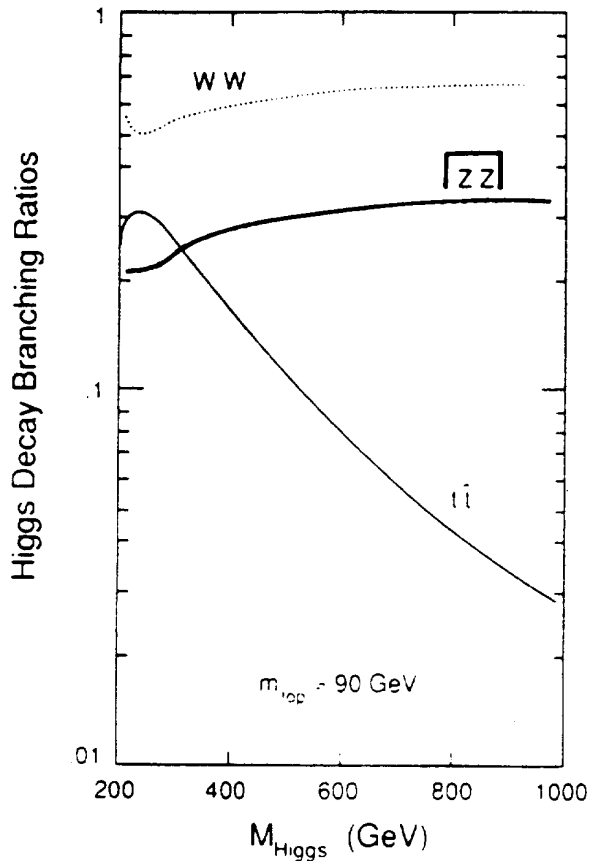
$\tan\beta = 3$



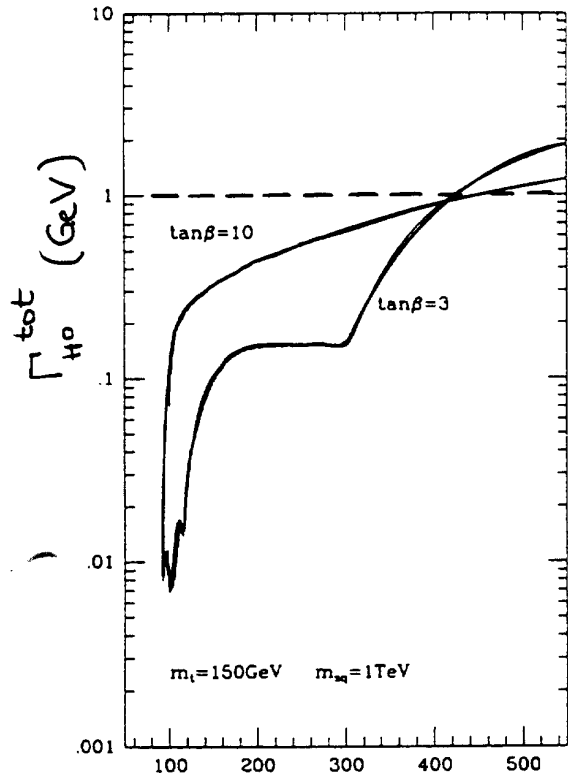
$\tan\beta = 10$



SM - HIGGS

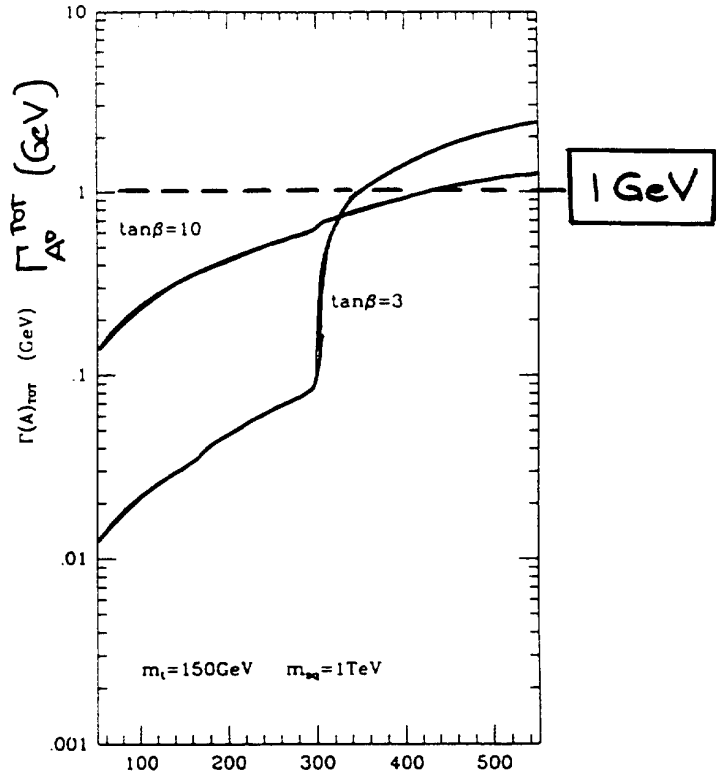


WIDTH OF  $H^0$



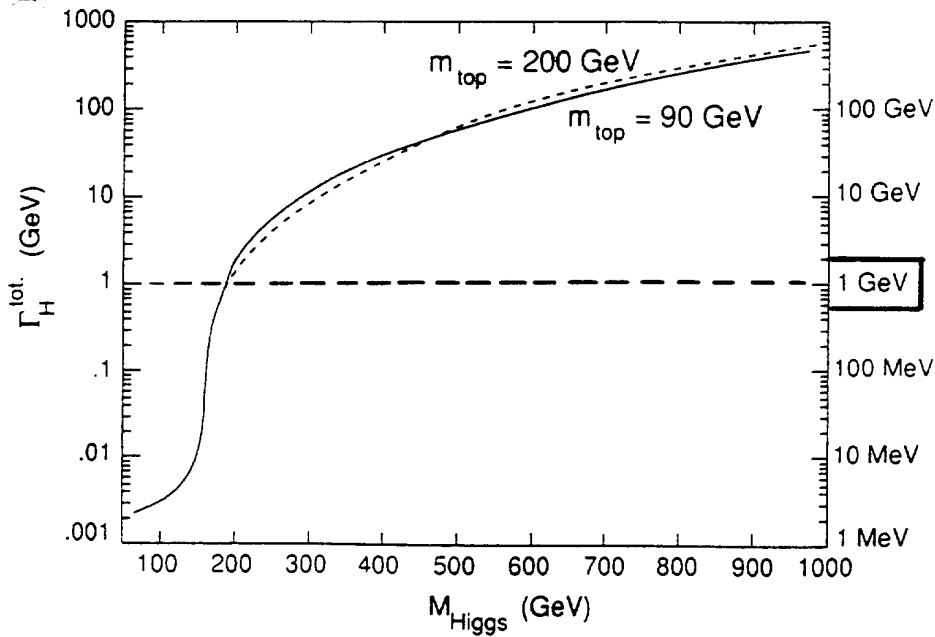
$m_{H^0}$  (GeV)

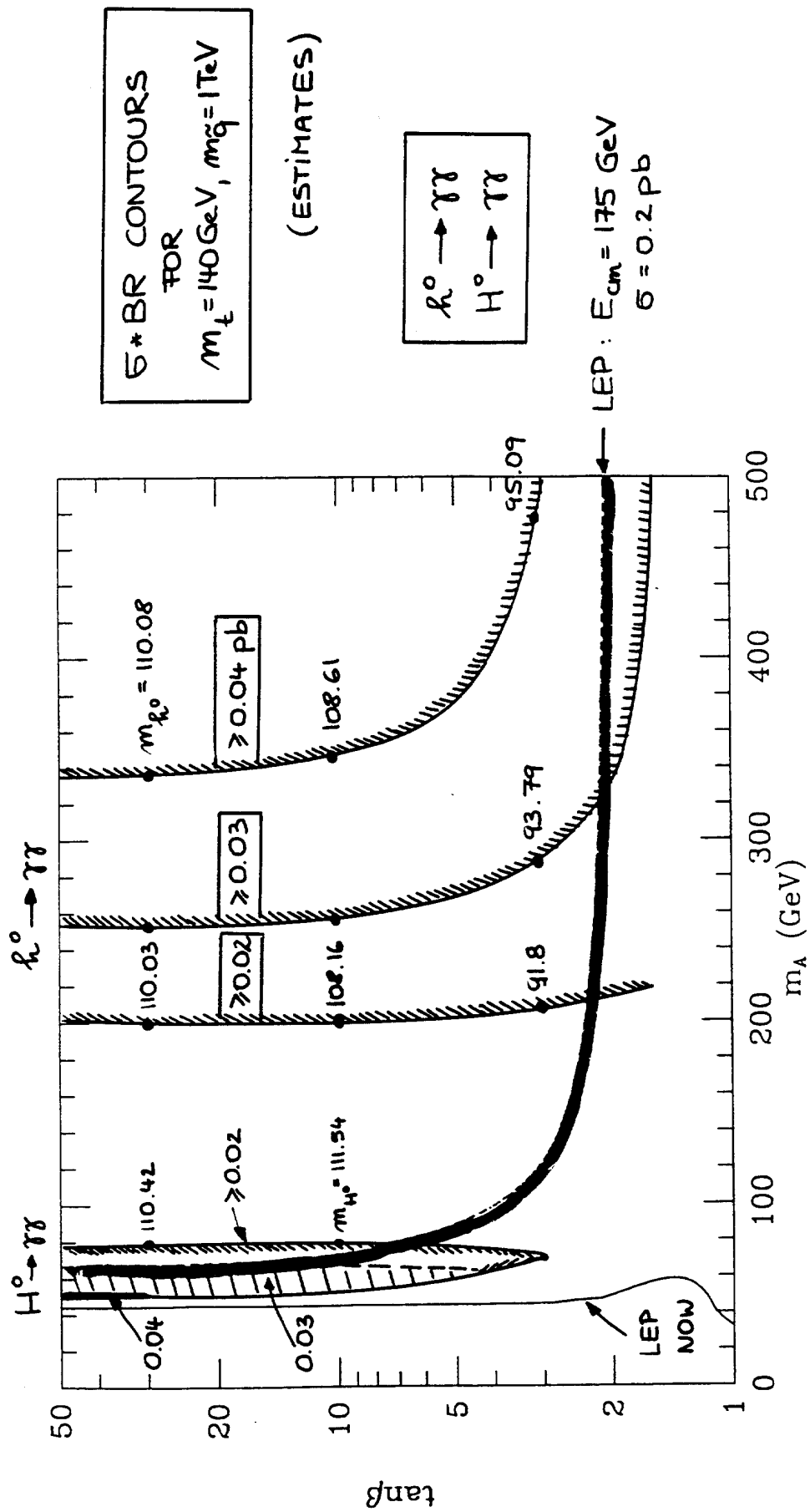
WIDTH OF  $A^0$



$m_{A^0}$  (GeV)

WIDTH OF SM HIGGS





5\* BR CONTOURS  
 FOR  
 $m_t = 140$  GeV,  $m_b = 1$  TeV

(ESTIMATES)

$h^0 \rightarrow \gamma\gamma$   
 $H^0 \rightarrow \gamma\gamma$

SM HIGGS :  $m_H = 100$  GeV  
 6. BR ( $H \rightarrow \gamma\gamma$ ) = 0.055 pb (g- AND W-FUSION)  
 $\hookrightarrow \sim 20\%$

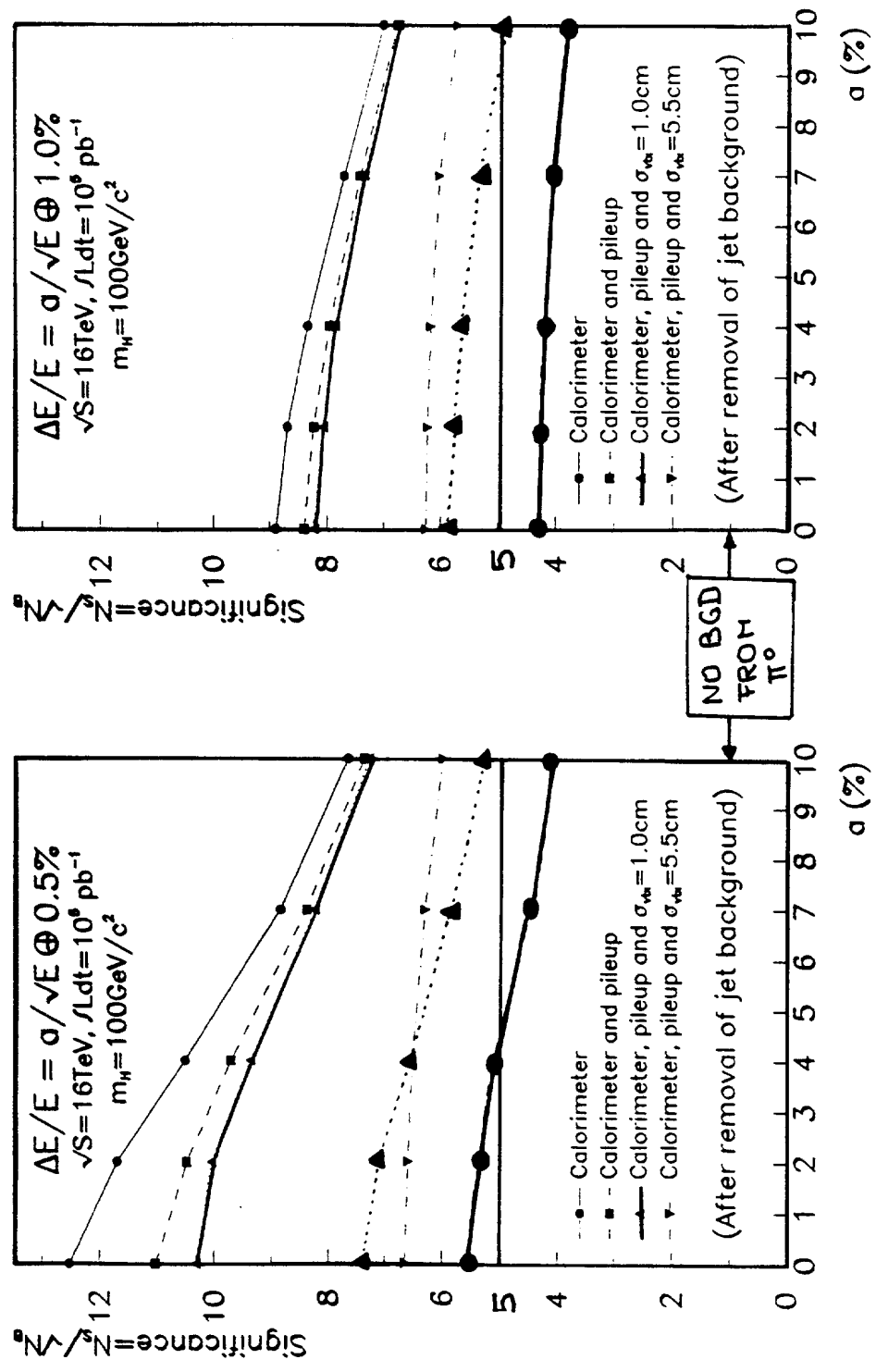
SCALED SIGNIFICANCE FOR  $\sigma \cdot BR (Z^0 \rightarrow \gamma\gamma) : m_{Z^0} = 100 \text{ GeV}$

$\dots \blacktriangle \dots$   $\sigma \cdot BR = 0.04 \text{ pb}$  } USE: INCLUDING PILE UP  
 $\bullet \text{---} \bullet$   $\sigma \cdot BR = 0.03 \text{ pb}$  } AND  $\sigma_{vtx} = 1 \text{ cm}$

$$H_{SM} \rightarrow \gamma\gamma$$

$m_H = 100 \text{ GeV}$   
 $\sigma \cdot BR = 0.0553 \text{ pb}$   
 FOR SM HIGGS

C. SEEZ  
(CAPRI, 1991)



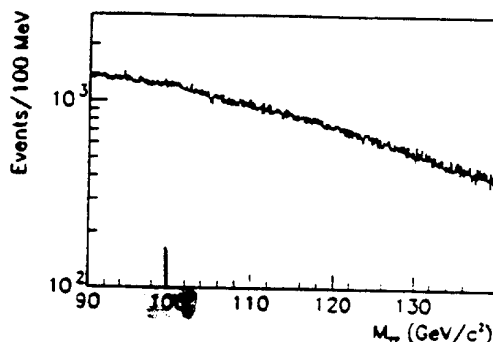
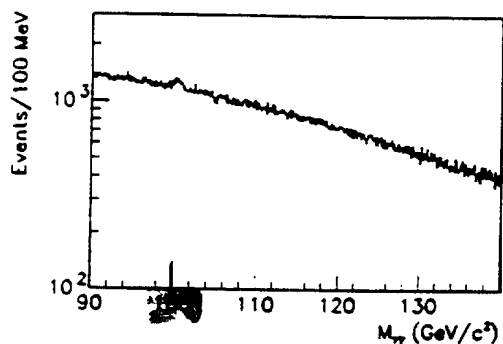
SIGNAL :  $H \rightarrow \gamma\gamma$  ,  $m_H = 100 \text{ GeV}$  (SM)

BGD FROM QCD  $\gamma\gamma$ -PRODUCTION (IRREDUCIBLE)

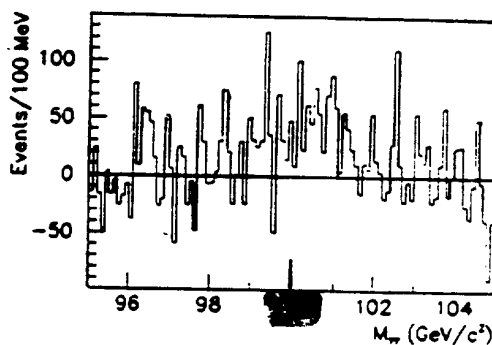
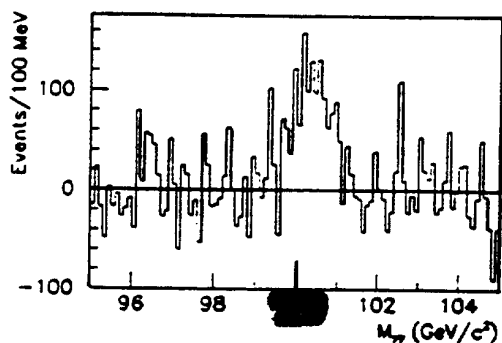
ASSUME :  $10^5 \text{ pb}^{-1}$  ( $\mathcal{L} = 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$  ;  $\sigma_{\text{inel}} = 60 \text{ mb}$ )  
 PILE-UP INTEGRATED IN  $\Delta\eta \times \Delta\phi = 0.1 \times 0.1$   
 CALO GIVES  $\gamma$ -DIRECTION TO  $\pm 7 \text{ mrad}$

$$\Delta E/E = 2\%/\sqrt{E} \oplus 0.5\%$$

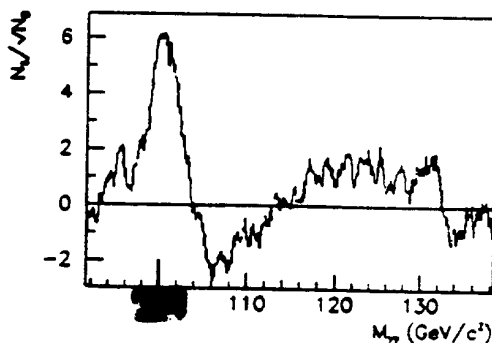
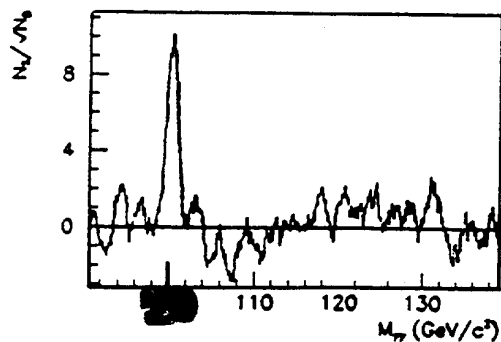
$$\Delta E/E = 10\%/\sqrt{E} \oplus 0.5\% \quad (E \text{ in GeV})$$



C. SEEZ  
(CAPRI, 1991)



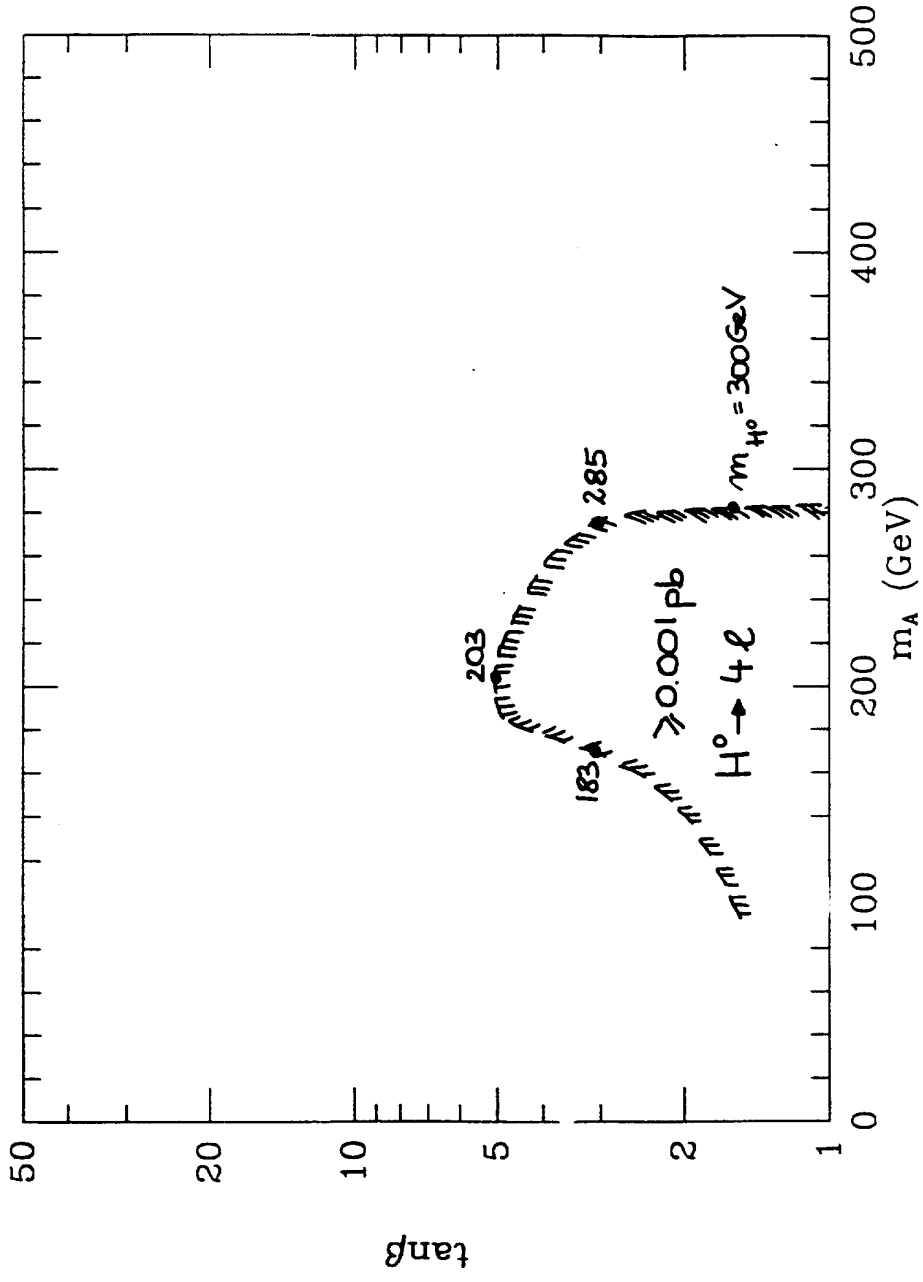
100 MeV  
BINS



SCAN  
 $\Delta m = 1.5 \text{ GeV}$

$$\frac{N_s}{\sqrt{N_b}} = 10.1$$

$$\frac{N_s}{\sqrt{N_b}} = 6.1$$



5 x BR CONTOUR FOR  
 $H^0 \rightarrow l^+ l^- l^+ l^-$

SM - HIGGS RATES FOR  $10^5 \text{ pb}^{-1}$

$m_H = 180 \text{ GeV}$ :  $\sigma \text{BR}_{4e} = 0.00145 \text{ pb}$   
 SIGNAL:  $4e$ :  $\sim 45 \text{ EVT}s$  ( $\epsilon = 30\%$ )  
 BGD:  $\sim 6$

(DELLA NEGRA et al)  
 $m_H = 200 \text{ GeV}$ :  $\sigma \text{BR}_{4\mu} = 0.0043 \text{ pb}$   
 SIGNAL:  $4\mu$ :  $197 \text{ EVT}s$  ( $\epsilon = 46\%$ )  
 ( $p_T^H > 20, |q| < 2.5, m_Z \pm 16 \text{ GeV}$ )

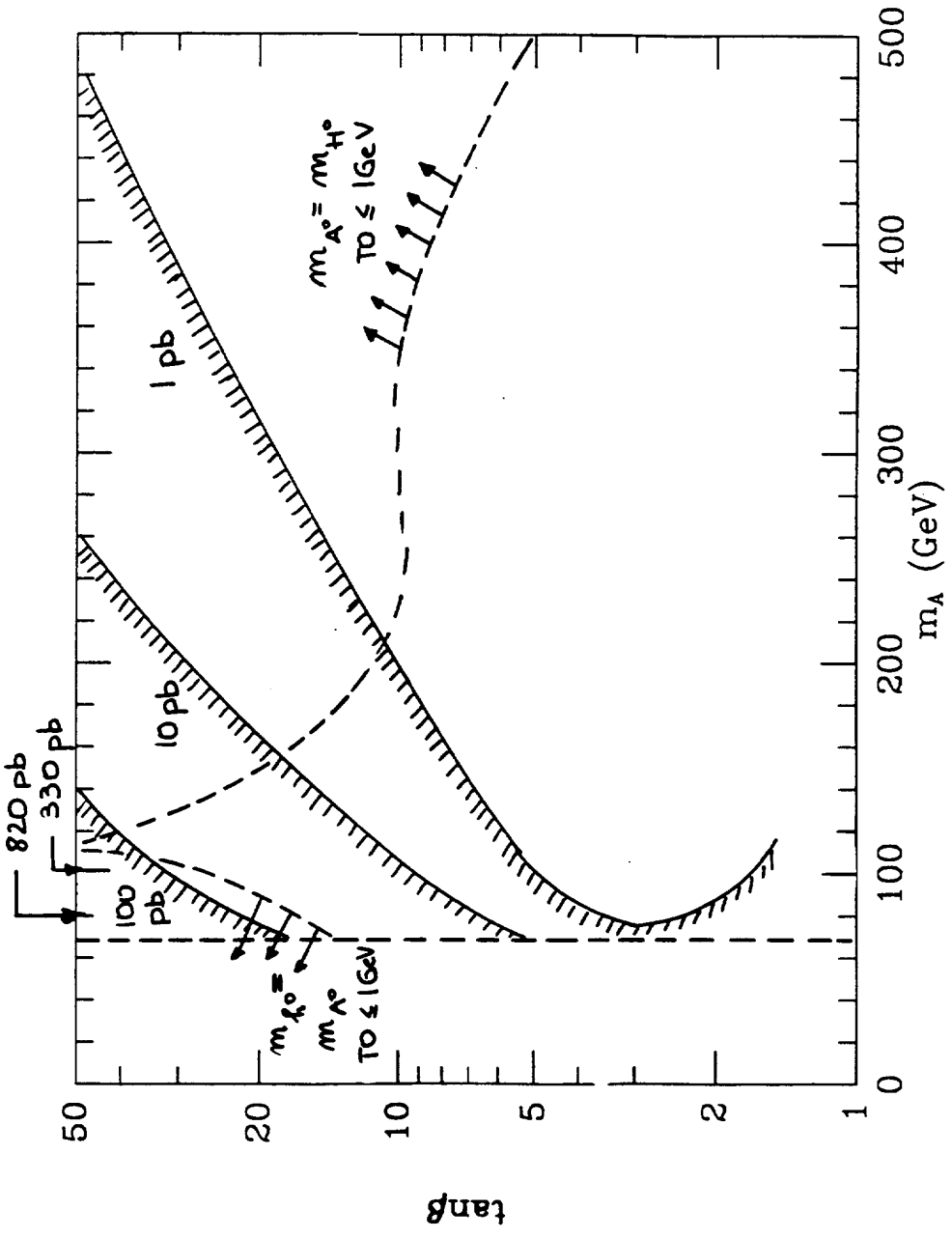
(A. NISATI)

→ FOR  $\sigma \text{BR} = 0.001 \text{ pb}$   
 NEED  $e$  AND  $\mu$



5\*BR CONTOURS FOR  
 $m_{A^0} = m_{H^0}$  OR  $m_{A^0} = m_{\phi^0}$  FOR  
 GIVEN  $m_A$  INTO  $\tau^+\tau^-$

(ESTIMATES!)



# SEARCH FOR SUSY HIGGS INTO $\tau^+\tau^-$

$$PP \rightarrow \begin{pmatrix} A^0 \\ H^0 \\ h^0 \end{pmatrix} \rightarrow \tau^+\tau^-$$

$$\begin{aligned} \tau &\rightarrow \ell\nu\nu: \sim 36\% \\ \tau &\rightarrow \text{had } \nu: \sim 64\% \end{aligned}$$

POSSIBLE  $\tau$ -SIGNATURES DEPEND IF  $\ell$  OR HAD MODES USED:  
 $BR_{\ell\ell} = 13\%$ ,  $BR_{\ell h} = 46\%$ ,  $BR_{h h} = 41\%$

EXPECTED TRIGGER RATES AT  $\mathcal{L} = 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$ : (HELLMAN et al)

$$\ell\text{-}\ell \text{ MODE: } 2e: E_T^e > 30 \text{ GeV} \sim 200 \text{ Hz (ISOLATION)}$$

$$2\mu: p_T^M > 30 \text{ GeV} \sim 0.2 \text{ Hz}$$

$$e+\mu: p_T > 50 \text{ GeV} \sim 10 \text{ Hz}$$

PROBLEM OF LOW RATE:  $BR, p_T^e$ -CUT:  $\tau \rightarrow \ell\nu\nu$

$$\ell\text{-}h \text{ MODE: INCLUSIVE } \mu: p_T^M > 30 \text{ GeV} \sim 40 \text{ Hz}$$

$$\text{INCLUSIVE } e: p_T^e > 30 \text{ GeV} \sim \underline{1.1 \text{ TO } 0.2} \text{ Hz}$$

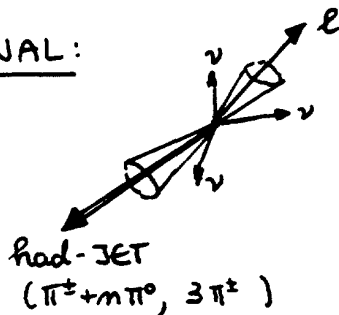
ISOLATION

$$h\text{-}h \text{ MODE: } 2 \text{ JETS: } E_T^J > 50 \text{ GeV} \sim 24 \text{ Hz}$$

NEED  $\tau$ -JET REJECTION OF  $\sim$  FEW% AT TRIGGER LEVEL TO GET ABOUT TRIGGER RATE OF INCL. e's WITH  $p_T^e > 30 \text{ GeV}$

## → STUDY ( $\ell\text{-}h$ ) MODE

SIGNAL:



ISOLATED LEPTON

ISOLATED  $\tau$ -JET: 1-3 TRACKS  
NARROW JET

SOFT  $E_T$

MAIN (IRREDUCIBLE) BGD: ISOLATED  $\tau^+\tau^-$  IN FINAL STATE  
 $Z \rightarrow \tau^+\tau^-$ ,  $t\bar{t} \rightarrow \tau^+\tau^- X$ ,  $\tau\ell X$

MAIN BGD FROM  $\tau$ -JET MISIDENT.:  $W \rightarrow \ell\nu + \text{JET}$   
 $\downarrow$   $\downarrow$   
 $(e, \mu)$   $\tau$

HIGGS  $\rightarrow \tau^+ \tau^- \rightarrow$  LEPTON +  $\tau$ -JET +  $\cancel{E}_T$

M. FELCINI  
F. PAUSS

SIGNAL :  $m_H = 100$  TO 400 GeV CONSIDERED

BGD:  $Z^0 \rightarrow e^+ e^- + X$

$W \rightarrow l \nu + X$

$t\bar{t}$  : ALL DECAY MODES ( $m_t = 140$  GeV)

ISAJET MC USED FOR SIGNAL AND BGD EVALUATION

CALORIMETER: em : 15% / TE  $\oplus$  1% , had : 50% / TE  $\oplus$  2%

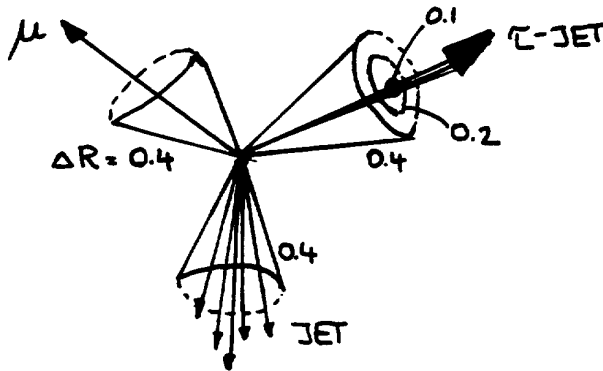
GRANULARITY :  $\Delta\eta \times \Delta\phi \sim 0.06 \times 0.06$  ,  $|\eta| < 5$

$e$ - $\tau$  REJECTION FACTOR DIFFICULT TO EVALUATE :

i.e.: NON-ISOLATED  $e$ 's FAKING  $\tau$ 's , BECAUSE NO  
MODEL OF em AND had SHOWER INCLUDED

$\rightarrow$  USE  $\mu$ - $\tau$  CHANNEL TO DISCUSS PRINCIPLE  
STRATEGY

$e$  AND  $\tau$ -JET DEFINITION



$$\text{CONE } \Delta R = (\Delta\eta^2 + \Delta\phi^2)^{1/2}$$

$$E_\mu = 100\%$$

ISOLATED  $\mu$  :  $P_T^\mu > 20$  GeV

$$\sum_{\Delta R=0.4} E_T \leq 10 \text{ GeV}$$

ISOLATED  $\tau$  :  $E_T^3 > 30$  GeV

WITH  $\leq 3$  TRACKS IN  
 $\Delta R < 0.1$  AROUND JET

$$\frac{\sum_{0.2} E_T}{\sum_{0.4} E_T} > 0.96$$

JETS :  $E_T^3 > 30$  GeV ,  $\Delta R \leq 0.4$   
 $E_T^{ini} = 10$  GeV ,  $E_T^c > 16$  GeV

$\rightarrow$   $\tau$ -JET AND JET DEFINITION RATHER  
INSENSITIVE TO PILE-UP

REMARK: ISOLATION REQUIREMENT FOR  $\tau$ -JET  
 $\Sigma E_T (\Delta R \leq 0.2) / \Sigma E_T (\Delta R \leq 0.4)$

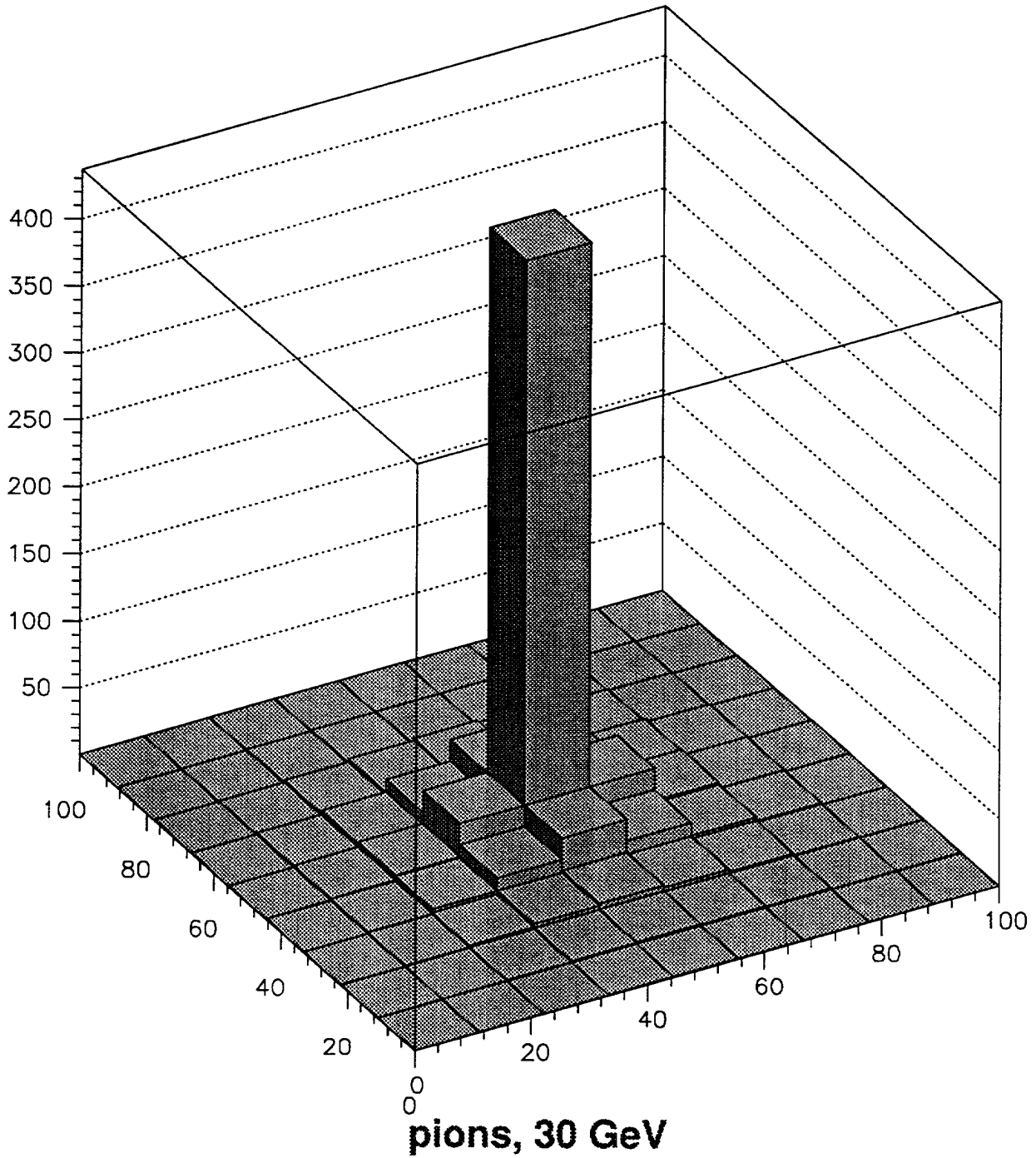
TAKE CALORIMETER WITH CELL SIZE  $10 \times 10 \text{ cm}^2$  AT  
 DISTANCE OF  $R = 2 \text{ m}$  AND  $R = 3.5 \text{ m}$  FROM INTERACT. POINT:

	$R = 2 \text{ m}$	$R = 3.5 \text{ m}$
1 CELL: $\Delta\eta \times \Delta\phi$	$0.05 \times 0.05$	$\sim 0.03 \times 0.03$
1 CELL: $\Delta R$	0.07	0.04
$\Delta R$ FOR HAD. ENERGY IN $3 \times 3$ CELLS	0.21	0.12
$\Delta R = 0.4$ CORRESPONDS	$6 \times 6$ CELLS	$10 \times 10$ CELLS
		↑
		WOULD CHANGE ISOLATION CONES FOR THIS CALO

SELECTION REQUIREMENTS:

- ONLY 1 ISOLATED  $\mu$  AND ONLY 1 ISOLATED  $\tau$ -CAND.  
IN EVENT ( $E_T^{\tau} = E_T^{\mu}$ ), IN  $|\eta| < 2$
- NO OTHER JET ACTIVITY ( $E_T^j > 30 \text{ GeV}$ )  
AND OVERALL LOW (SOFT) ENERGY DEPOSITION  
(REDUCES  $t\bar{t}$  BGD CONSIDERABLY)
- ADJUST CUTS FOR LOW MASS ( $m_H \leq 200 \text{ GeV}$ )  
AND HIGH MASS ( $m_H > 200 \text{ GeV}$ ) SELECTION

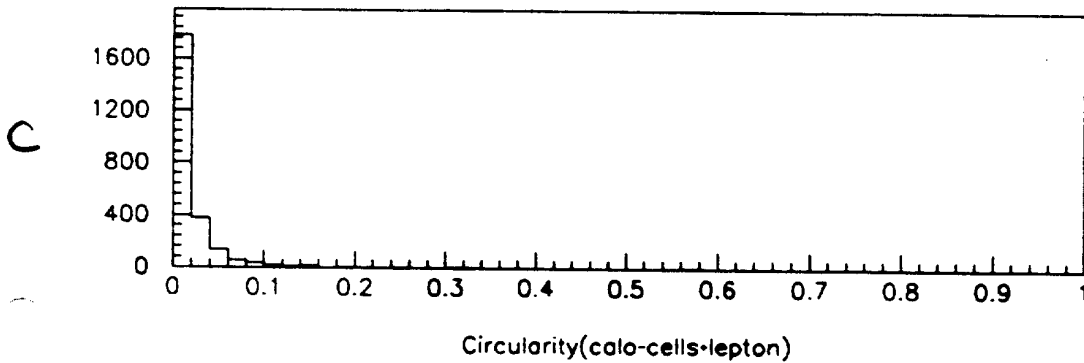
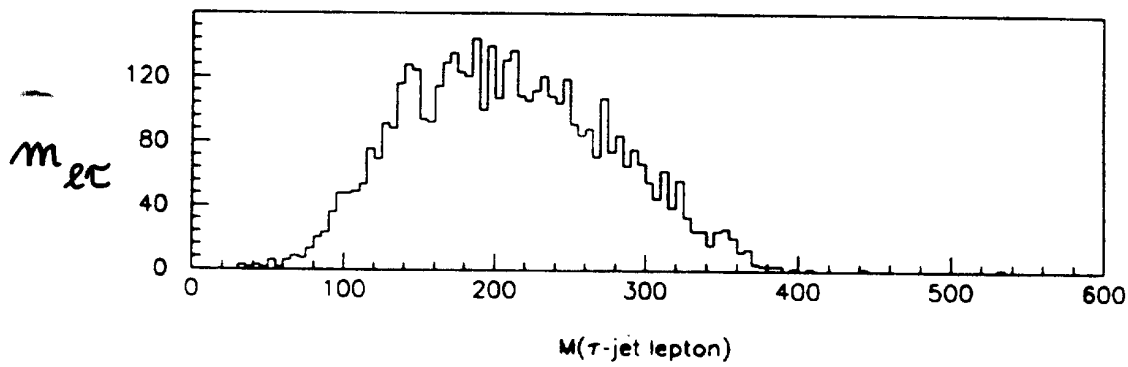
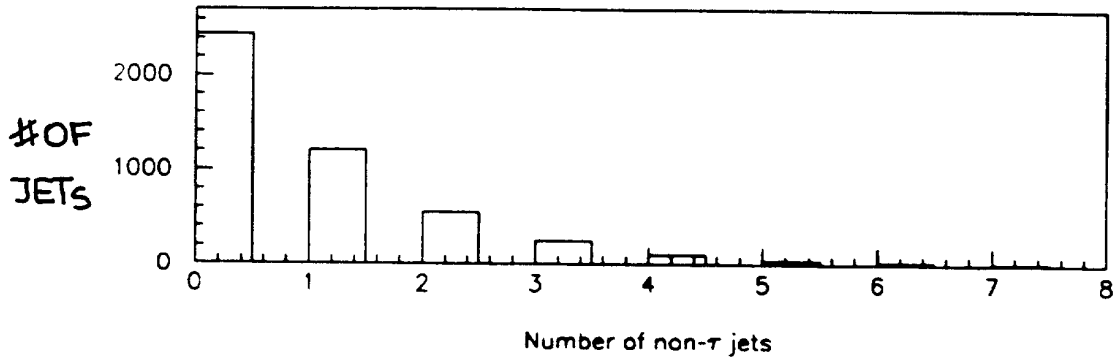
## Charge per tower $U(5\text{mm})/TMP$



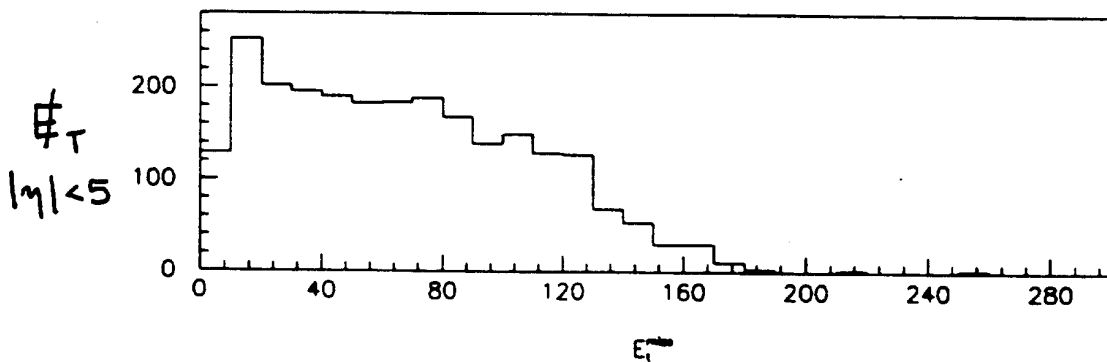
A. GIVERNAUD

$$H \rightarrow \tau\tau : m_H = 400 \text{ GeV}$$

$$E_T^\tau > 30 \text{ GeV}, p_T^\mu > 20 \text{ GeV}, E_T^j > 30 \text{ GeV} (|\eta| < 2)$$

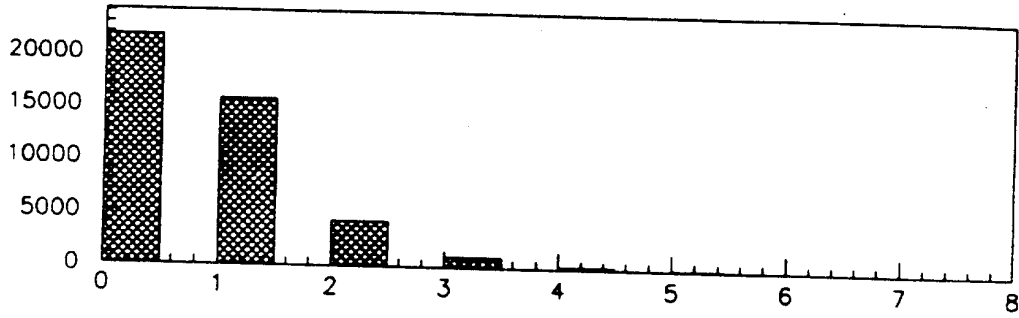


FOR  $N_J = 0$

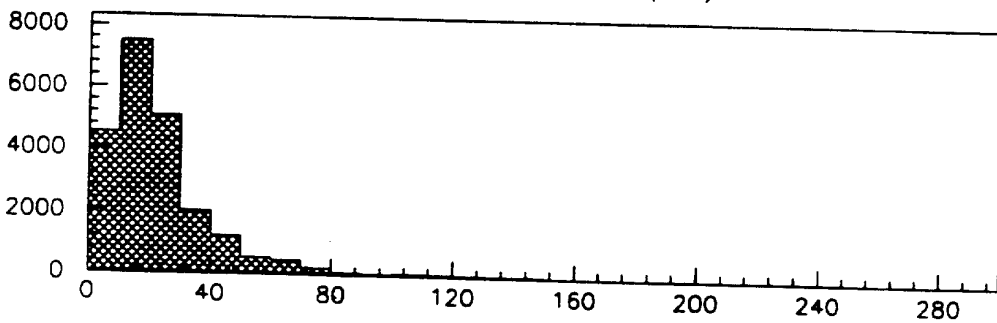
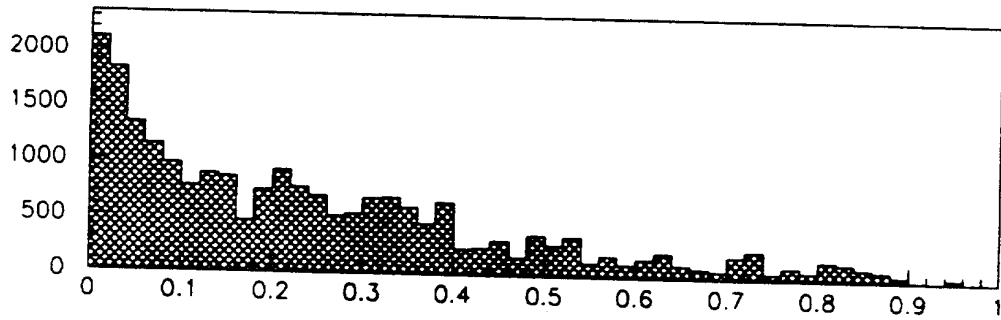
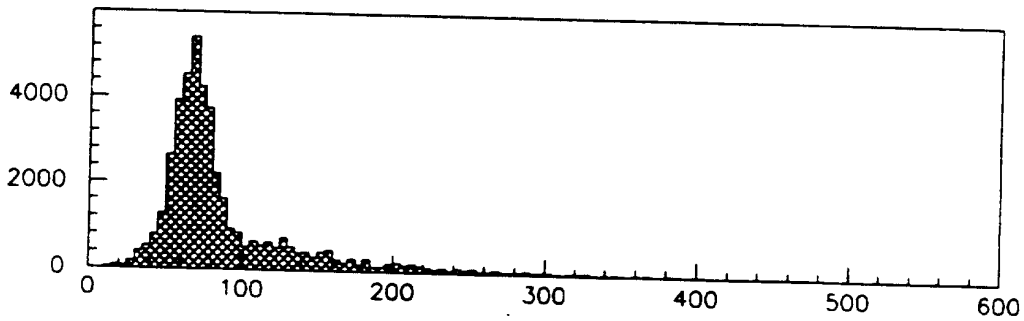


$$C := \frac{1}{2} \min (\sum E_T + \tilde{M})^2 / \sum E_T^2$$

$$Z^0 \rightarrow e^+e^- + \text{JETS}$$



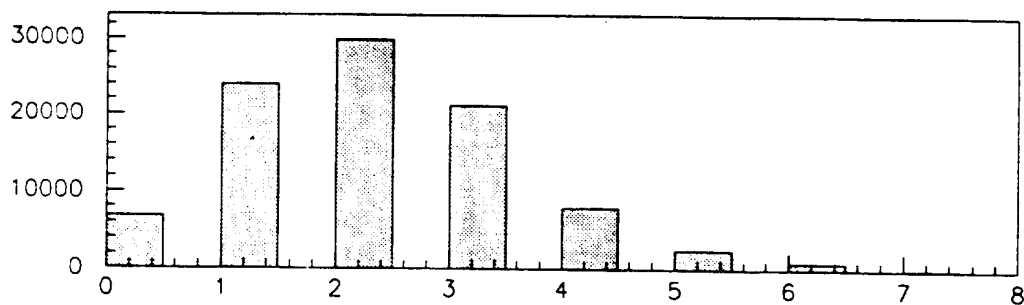
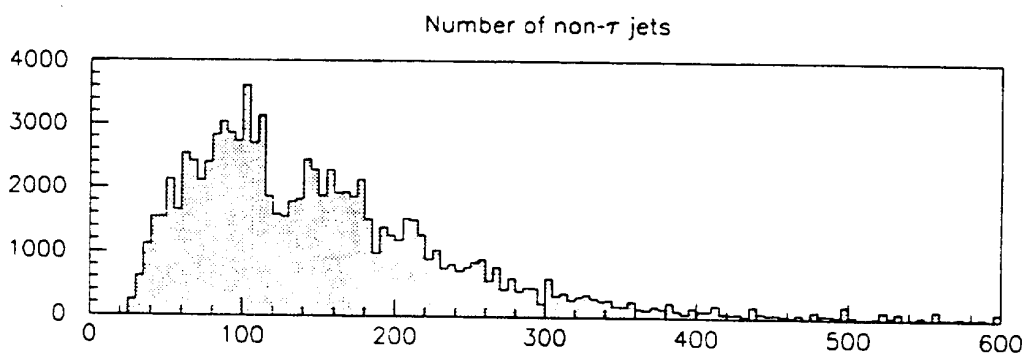
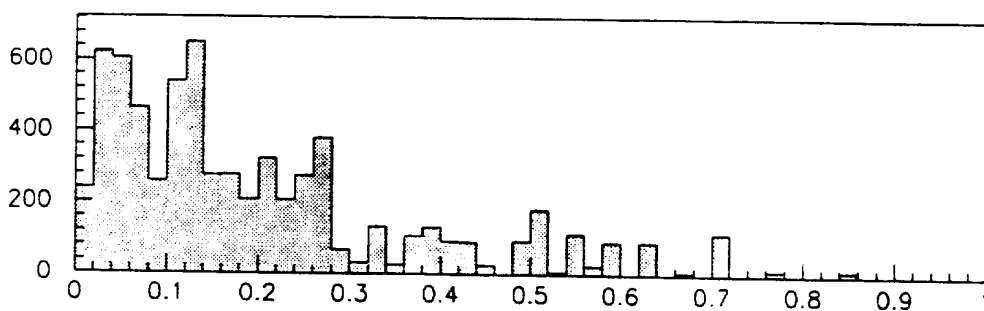
$Z^0$



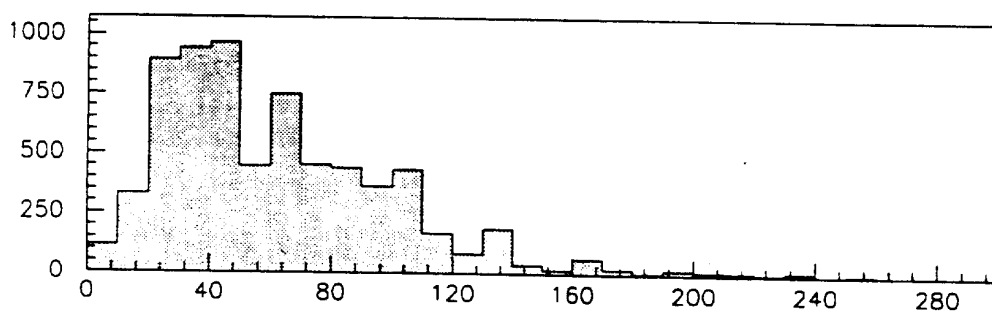
$E_t$

$$t\bar{t} : m_t = 140 \text{ GeV}$$

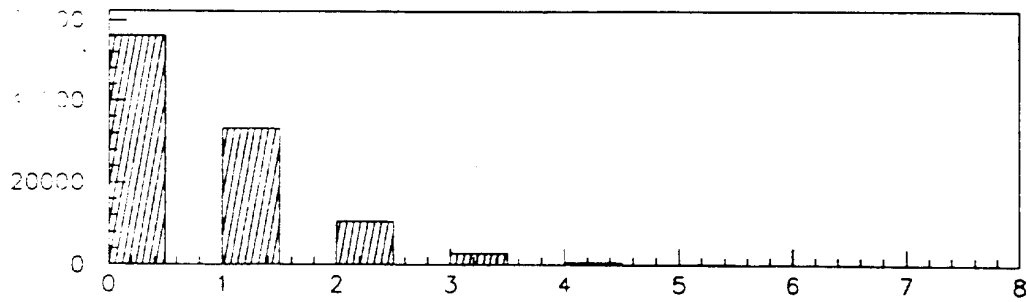
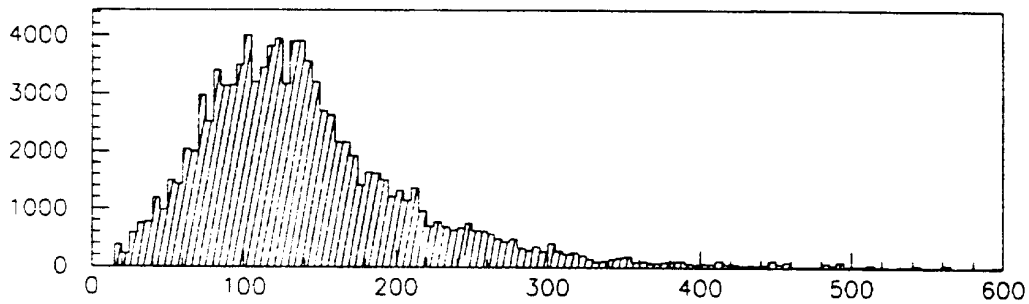
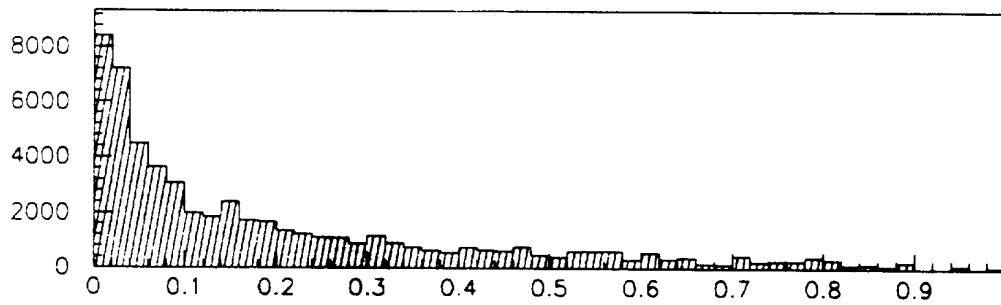
$$E_T^\tau > 80 \text{ GeV}, p_T^M > 20 \text{ GeV}, E_T^J > 30 \text{ GeV} (|\eta| < 2)$$


 $t\bar{t}$ 

 $M(\tau\text{-jet lepton})$ 


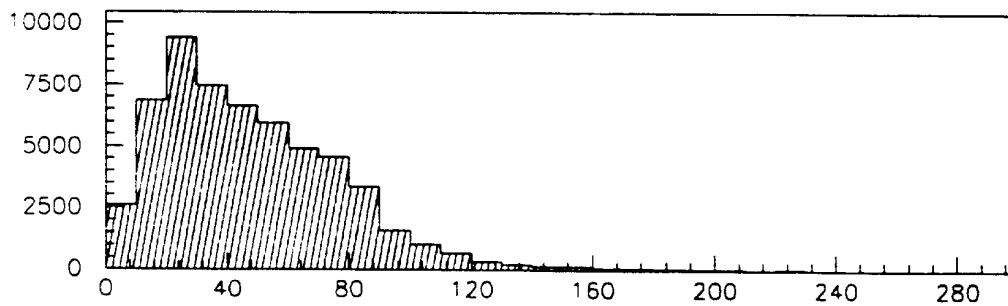
Circularity(calo-cells\*lepton)


 $E_t$



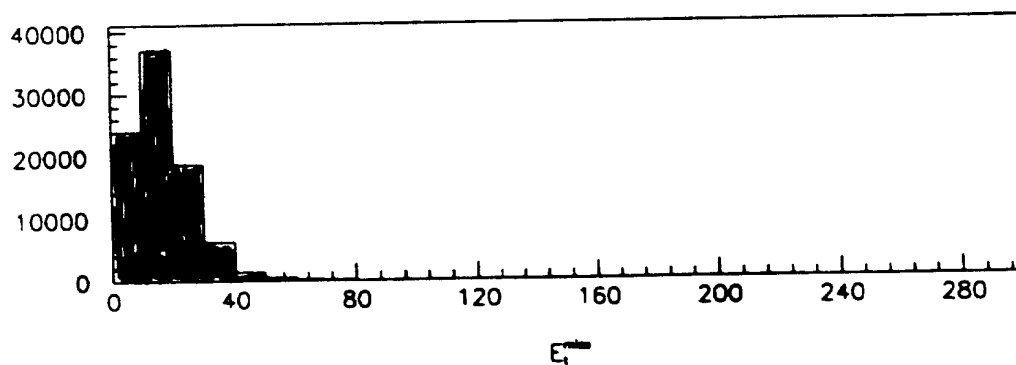
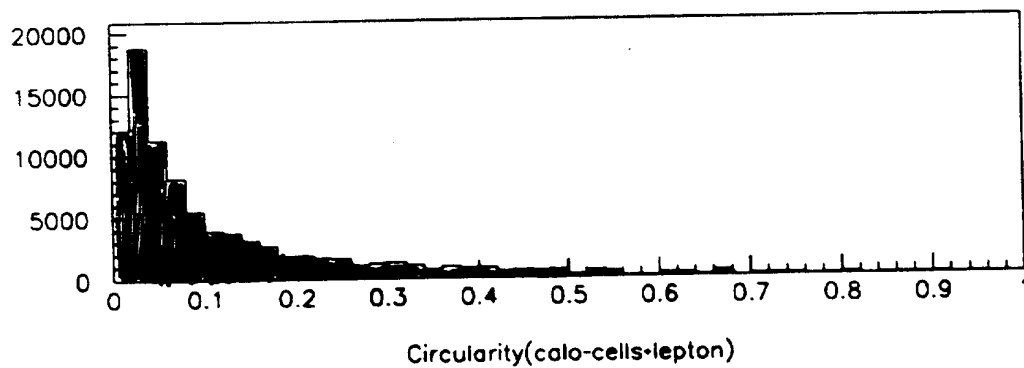
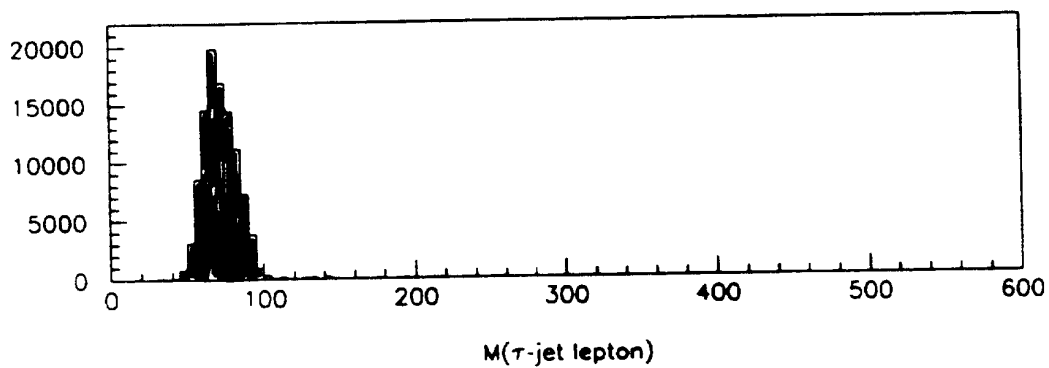
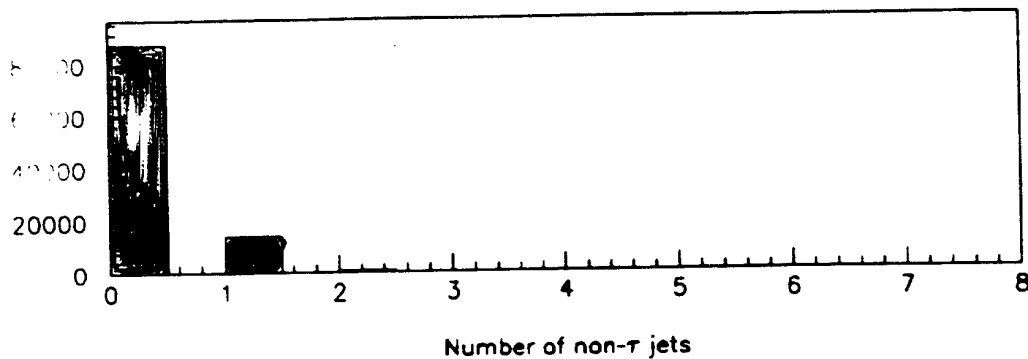
$W \rightarrow l\nu + \text{JETS}$ Number of non- $\tau$  jets $M(\tau\text{-jet lepton})$ 

Circularity(calocells-lepton)

 $E_t$ 

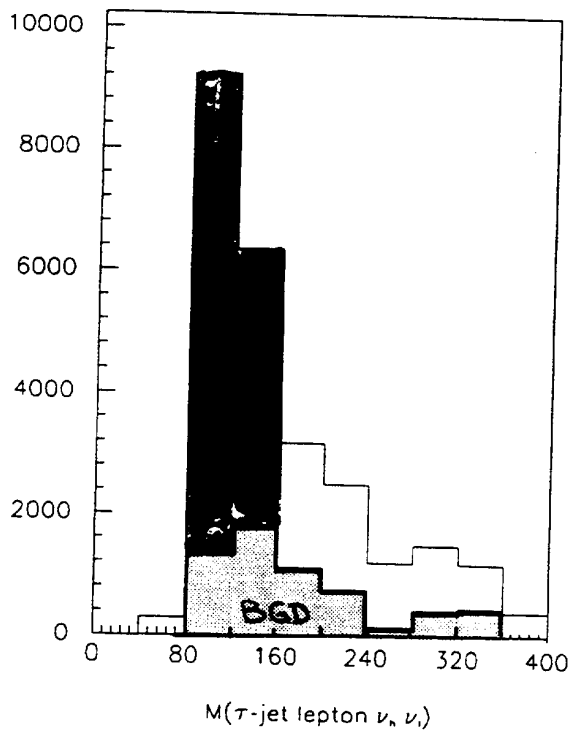
W

$$H \rightarrow \tau\tau : m_H = 100 \text{ GeV}$$



$H \rightarrow \tau\tau : m_H = 100 \text{ GeV}$

$H \hat{=} A^0, h^0$   
 $m(A^0-h^0) \sim 300 \text{ MeV}$   
 FOR  $\tan\beta = 50$



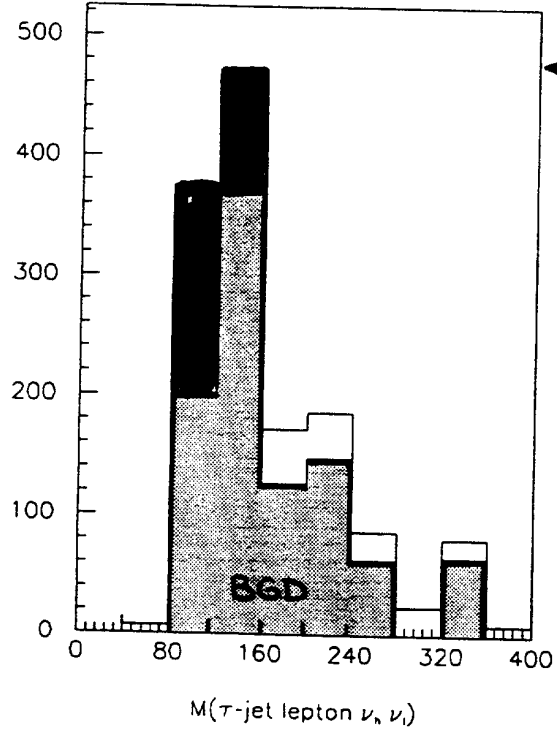
TOTAL  $\sigma \times \text{BR} = 333.7 \text{ pb} : \tan\beta = 50$

SELECTION:  $E_T^\tau > 30 \text{ GeV}, p_T^e > 30 \text{ GeV}$   
 NO JET ( $E_T^j > 30 \text{ GeV}$ )  
 $60 < m_{\tau e} < 100 \text{ GeV}$   
 $C < 0.1$

# EVENTS IN  $\Delta m = 80-160 \text{ GeV}$   
 AND  $10^4 \text{ pb}^{-1}$

SIGNAL: 12260 EVTS }  $S = 217$   
 TOTAL BGD: 3184 EVTS }  
 Z+JETS:  $1600 \pm 214$  EVTS  
 $t\bar{t}$  :  $576 \pm 197$   
 W+JETS:  $1008 \pm 227$

$S = 10$  CORRESPONDS TO A  
 SENSITIVITY OF 15.4 pb



← SAME SELECTION AS ABOVE  
 BUT ONLY IRREDUCIBLE BGD  
 $Z \rightarrow \tau\tau, t\bar{t} \rightarrow \tau\tau + X$   
 $\tau\mu + X$

← PLOT FOR  $S = \frac{N_s}{N_b} = 10$   
 THIS CORRESPONDS TO A  
 SENSITIVITY OF  $\sigma \times \text{BR} = 7.5 \text{ pb}$   
 SIGNAL : 275 EVTS  
 BGD : 751 EVTS ( $Z \sim t\bar{t}$ )

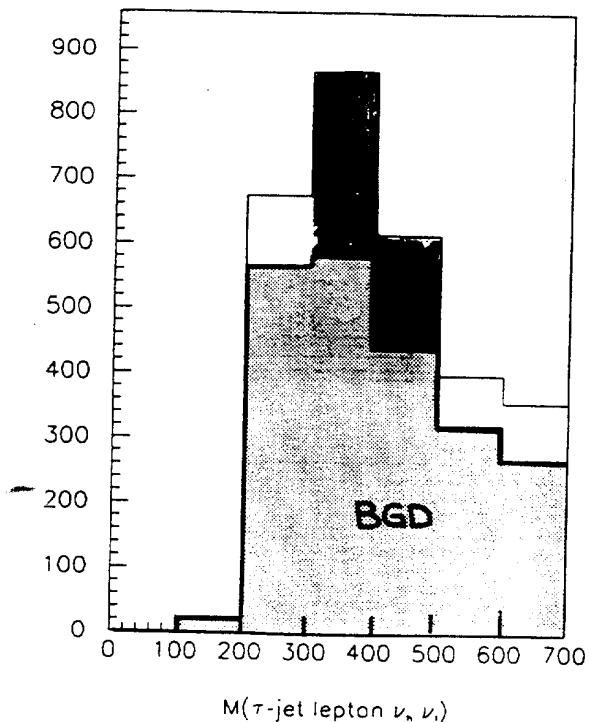
(# $\tau$  in  $|\eta| < 5$ )

$$H \rightarrow \tau\tau : m_H = 400 \text{ GeV}$$

$$H \hat{=} H^0, A^0$$

$$m(H^0 - A^0) \sim 20 \text{ MeV}$$

$$\text{FOR } \tan\beta = 50$$



$$\text{TOTAL } \sigma \cdot \text{BR} = 2.25 \text{ pb}$$

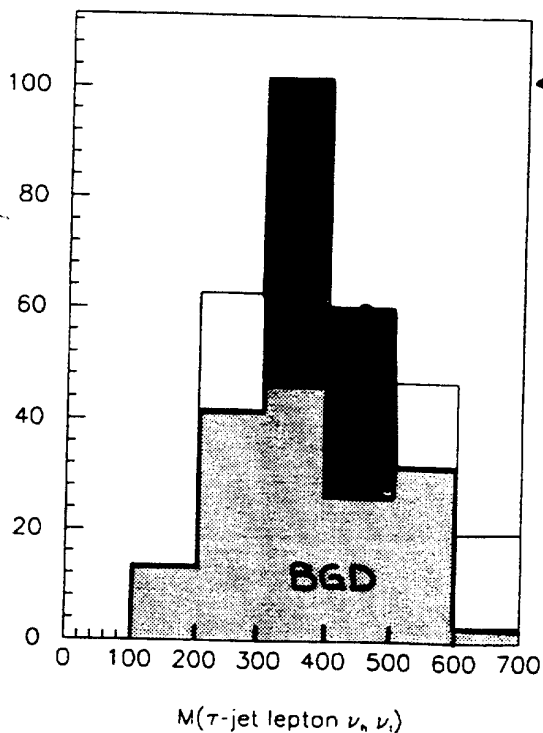
SELECTION:  $E_T^{\tau} > 80 \text{ GeV}$ ,  $p_T^{\ell} > 20 \text{ GeV}$   
 NO JET ( $E_T > 30 \text{ GeV}$ )  
 $m_{\tau\ell} > 120 \text{ GeV}$   
 $C < 0.02$ ,  $\cancel{E}_T > 50 \text{ GeV}$

$$\# \text{EVENTS IN } \Delta m = 300 - 500 \text{ GeV}$$

$$\text{AND } 10^4 \text{ pb}^{-1}:$$

SIGNAL : 455 EVENTS	}	$S = 14$
TOT. BGD: 1021 EVENTS		
Z+JETS: $77 \pm 12$		
$t\bar{t}$ : $94 \pm 26$		
W+JETS : $850 \pm 72$		

$S = 10$  CORRESPONDS TO A  
 SENSITIVITY OF 1.6 pb



← SAME SELECTION AS ABOVE

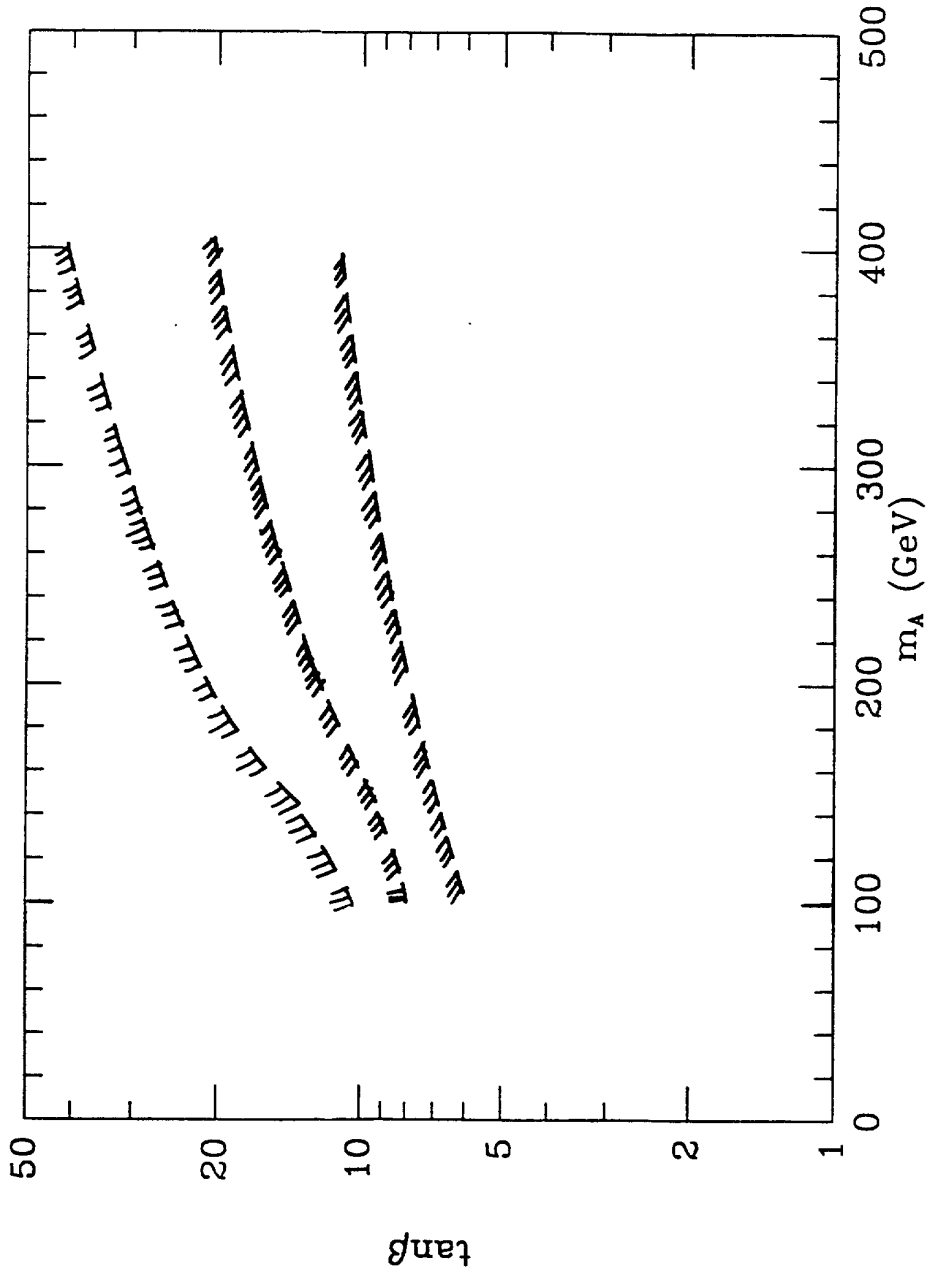
BUT ONLY IRREDUCIBLE BGD:

$$Z \rightarrow \tau\tau, t\bar{t} \rightarrow \tau\tau + x$$

$$\tau\mu + x$$

← PLOT FOR  $S = \frac{N_s}{N_b} = 10$

THIS CORRESPONDS TO A  
 SENSITIVITY OF:  $\sigma \cdot \text{BR} = 0.43 \text{ pb}$



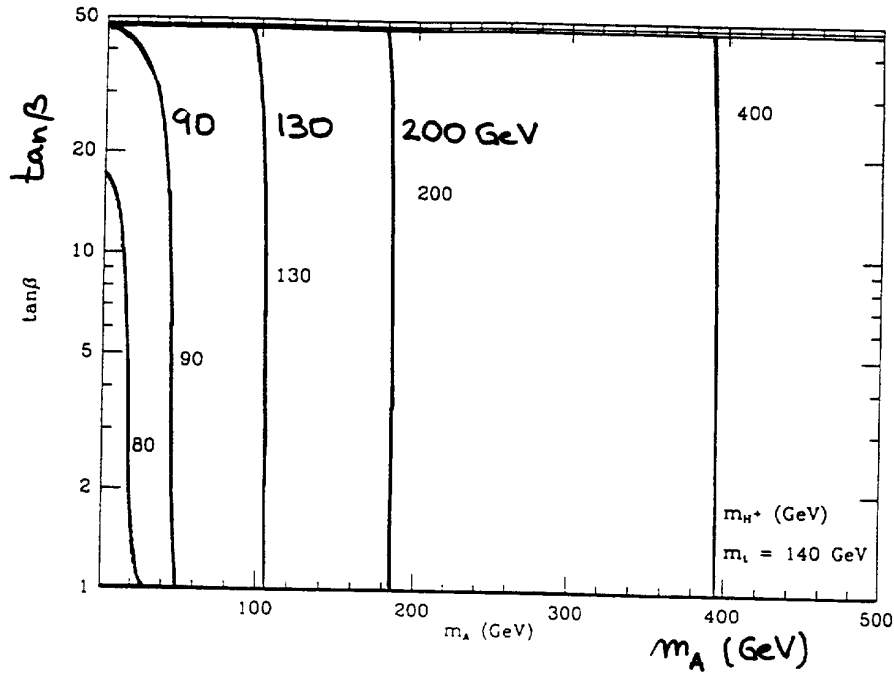
PRELIMINARY ESTIMATES  
 ON  $\sigma \times BR (H \rightarrow \tau\tau)$  FOR  
 $m_A = 100$  TO  $400$  GeV

USE  $S = \frac{N_s}{N_B} = 10, 10^4 \text{ pb}^{-1}$ :

- $\bullet$  SELECTION
- $\square$  ONLY IRREDUCIBLE BGD
- $\blacktriangle$  LIKE (--) BUT FOR  $10^5 \text{ pb}^{-1}$

(FOR  $\mu\text{-}\tau$  AND  $e\text{-}\tau$  WITH  $\epsilon_\mu = \epsilon_e = 100\%$ )

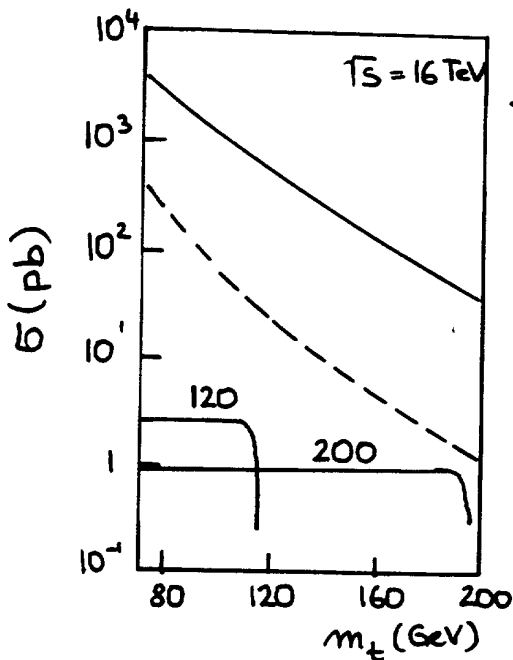
**CHARGED HIGGS :  $H^\pm$**



$m_t = 140 \text{ GeV}$   
 $m_q = 1 \text{ TeV}$

PRODUCTION AND DECAY: ( $H^\pm$  DOES NOT COUPLE TO  $WZ, W\gamma$ )

- $gg \rightarrow t\bar{t} : t \rightarrow H^\pm b$  IF  $m_{H^\pm} < m_t - m_b$   
 $\downarrow \tau\nu$   
 LARGE TOP PROD. CROSS-SECTION  
 COULD HELP IN DIFFICULT AREA ( $m_A - \tan\beta$ )
- $gb \rightarrow tH^\pm : H^\pm \rightarrow \tau\nu$  : IF  $m_t - m_b < m_{H^\pm} < m_t + m_b$
- $gb \rightarrow tH^\pm : H^\pm \rightarrow t\bar{b}$  : IF  $m_H > m_t + m_b$



← FOR  $\tan\beta = 2$

- SIGNAL :  $gb \rightarrow tH^\pm \rightarrow \tau\nu b$
- QCD :  $gg \rightarrow t\bar{t}g$  } BGD
- QCD :  $gb \rightarrow t\bar{t}b$  }

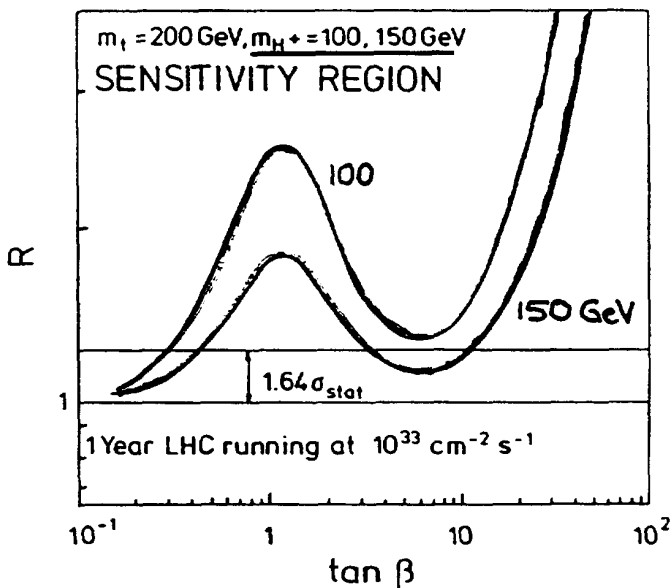
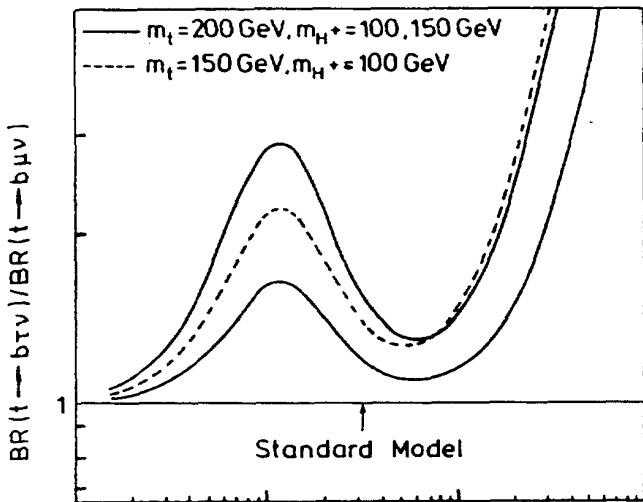
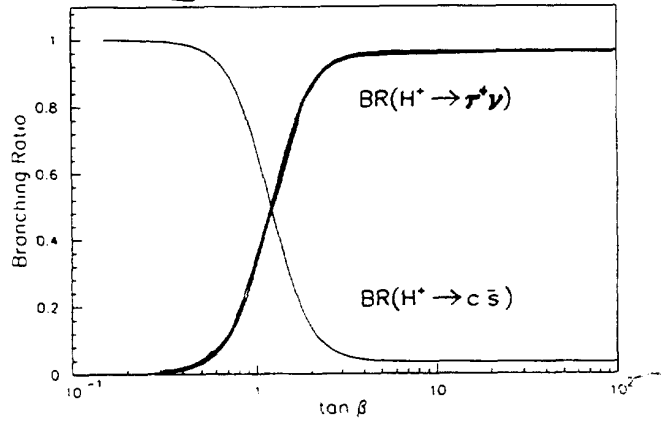
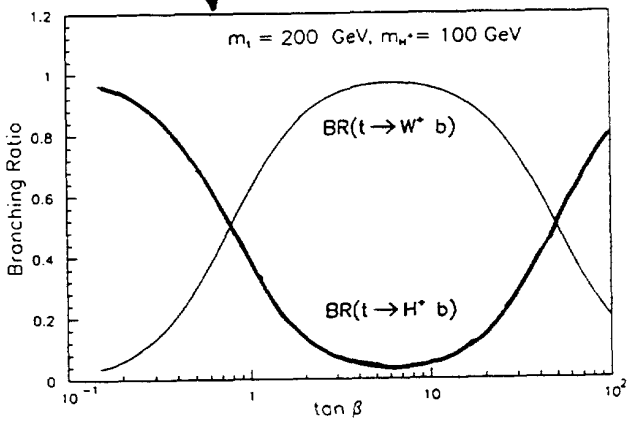
→ HOPELESS

BAWA, KIM, MARTIN  
 Z.PHY. C47 (1990) 75

THE CHARGED HIGGS IN TOP DECAYS

IF  $m_{H^\pm} < m_t - m_b$  :  $t \rightarrow H^\pm b$  POSSIBLE

BR INTO  $H^\pm$  AND  $H^\pm$  DECAY MODES DEPEND ON  $\tan\beta$



STRATEGY:

MEASURE LEPTON-UNIVERSALITY VIOLATION

$t\bar{t} \rightarrow WWbb$  vs  $t\bar{t} \rightarrow H^\pm Wbb$

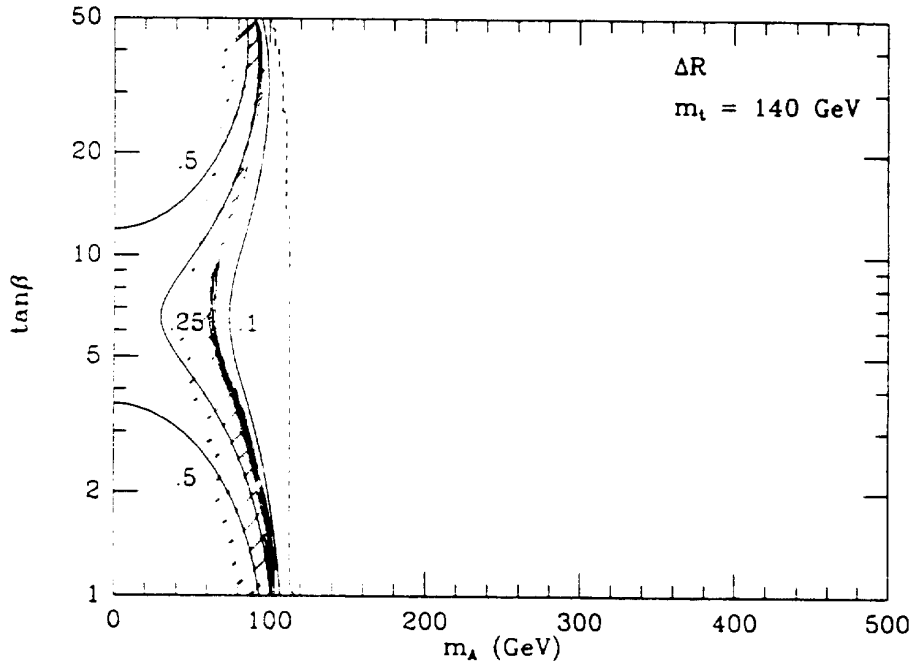
TAG TOP VIA :  $t \rightarrow Wb$   
 $\quad \quad \quad \quad \quad \downarrow$   
 $\quad \quad \quad \quad \quad \nu b$

AND SEARCH FOR EXCESS OF ISOLATED  $\tau$ 's COMPARED  $\mu$ 's (e's) IN THE SECOND TOP DECAY:

$$R_{\tau\mu} \sim \frac{BR(t \rightarrow \tau \nu b)}{BR(t \rightarrow \mu \nu b)}$$

USING HADRONIC DECAY OF  $\tau$

(M. FELCINI)



ESTIMATE:

$m_t = 200 \text{ GeV}$   
FOR 17% ERROR  
ON R →  
SENSITIVITY: 0.28  
(90% CL)

$m_t = 140 \text{ GeV}$   
SENSITIVITY: 0.14  
(90% CL)



**CHARGED HIGGS IN TOP DECAY**

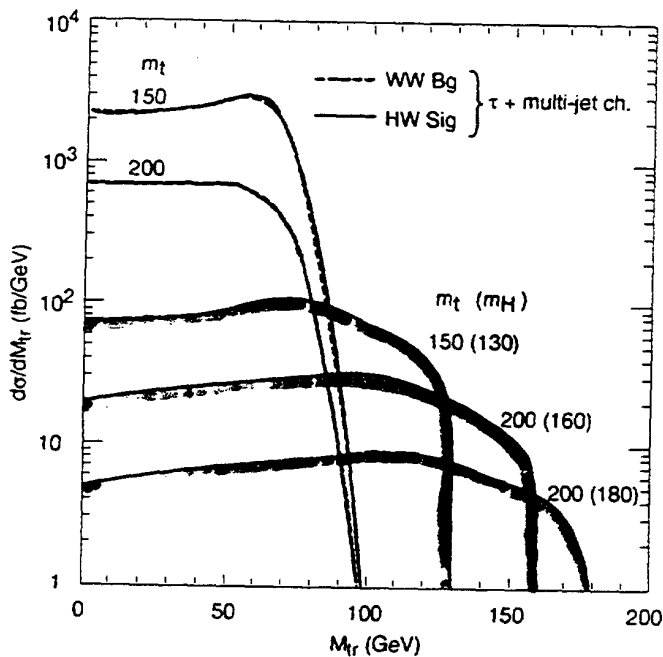
D.P. ROY  
CERN-TH.6247/91

STUDY  $H^\pm$  - SIGNATURE FOR  $m_{H^\pm} > m_W$  WITH PARTON LEVEL MC FOR DIFFERENT CHANNELS:  $H^\pm \rightarrow \tau \nu$

IN  $t\bar{t} \rightarrow b\bar{b} (H^+H^-, H^+W, WW)$  EVENTS ( $\tau \neq \tau \rightarrow \text{HAD} + \nu$ )

- 2 $\tau$ -CHANNEL:  $p_T^\tau > 10 \text{ GeV}$ ,  $E_T > 20 \text{ GeV}$ ; ISOLAT.:  $\sum p_T < 5 \text{ GeV}$   
0.4rad
- $\tau$  + HARD  $\mu$ -CHANNEL:  $p_T^\mu > 20 \text{ GeV}$ ,  $p_T^\tau > 10 \text{ GeV}$ ,  $E_T > 20 \text{ GeV}$
- $\tau$  + SOFT  $\mu$ -CHANNEL:  $p_T^\mu = 5 \text{ TO } 20 \text{ GeV}$ , - " -  
SMALL RATE, WOULD NEED HIGH  $\mathcal{L}$
- $\tau$  + MULTIJET -CHANNEL:  $p_T^\tau > 10 \text{ GeV}$ ,  $E_T > 20 \text{ GeV}$   
 $N_J \geq 2$  FOR  $E_T^J > 40 \text{ GeV}$

FOR FIRST 3 CHANNELS USE b-JET  $E_T$  AS REJECTION ( $E_T^{b\text{-jet}} < 30 \text{ GeV}$ )

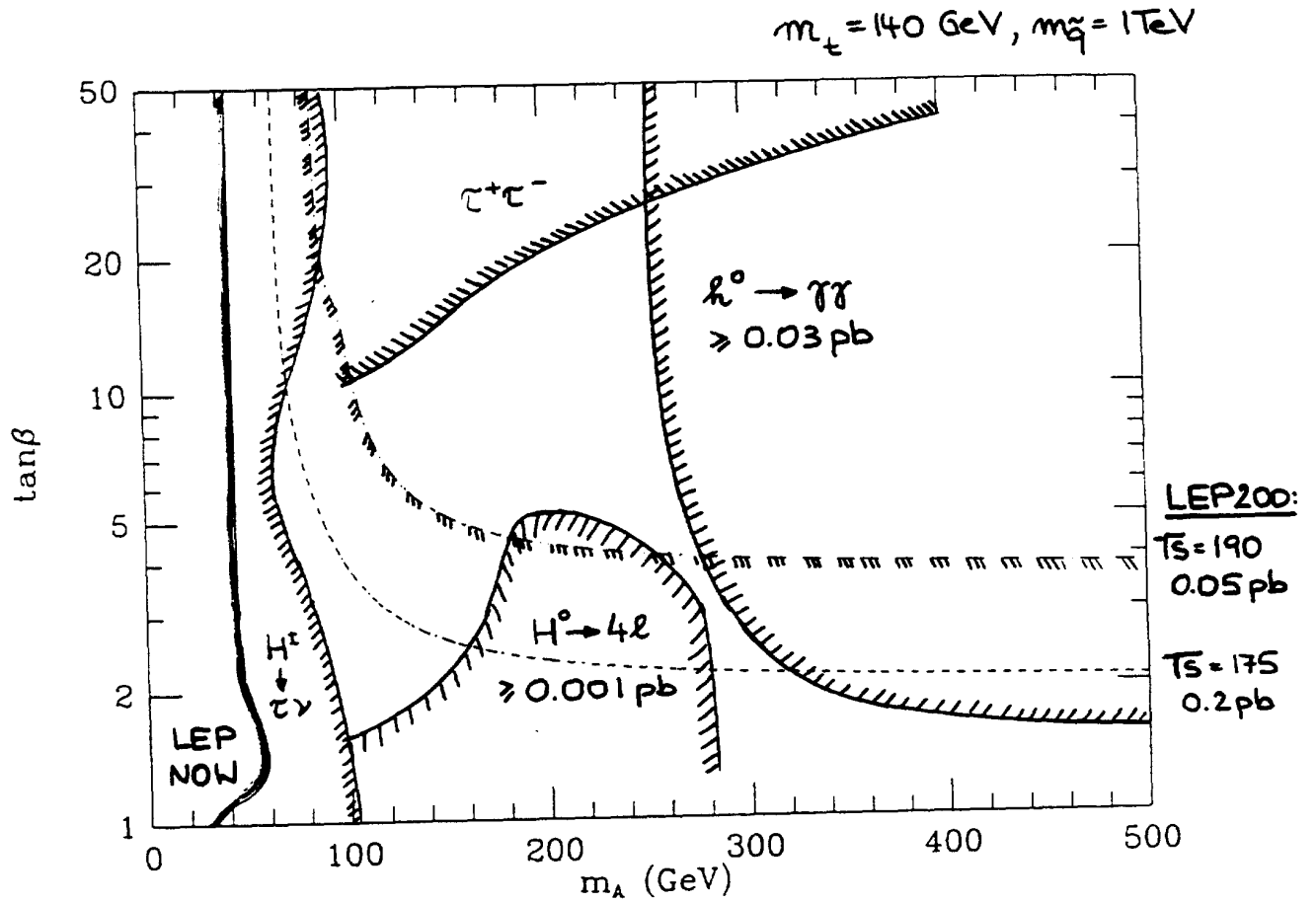


← EXAMPLE FOR  $\tau$  + MULTIJETS  
 $m_T$  DISTRIBUTION IS SENSITIVE TO  $m_H$

**CONCLUSION:**  
 $S/B > 1$  FOR  $m_{H^\pm} \approx m_t - 20 \text{ GeV}$   
FOR ALL  $\tan\beta$

MEASUREMENT OF  $\tau$ -POLARIZATION COULD HELP FOR SIGNAL (BGD): BEST IN  $\mu\tau$  CHANNEL WITH  $\tau \rightarrow \tau \nu$  11%  
EXPECT:  $W^- \rightarrow \tau_L^- \nu$ ,  $H^- \rightarrow \tau_R^- \nu$  AND  
 $\langle p_{\tau}^T \rangle_{H^-} \approx 2 \langle p_{\tau}^T \rangle_{W^-}$

# SUSY HIGGS : OPTIMISTIC SUMMARY



- ➔ IF NO SUSY HIGGS FOUND AT THE LHC WILL NOT BE ABLE TO COMPLETELY EXCLUDE THE MSSM VIA THE HIGGS SECTOR
- ➔ IF A HIGGS  $\rightarrow$  4 LEPTONS IS FOUND AND CONSISTENT WITH SM  $\sigma \times \text{BR}$ 
  - ➔ CANNOT BE SUSY

