



In the depth of oligosaccharidic structural complexity The example of multiply branched glycans

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C. Bliard. In the depth of oligosaccharidic structural complexity The example of multiply branched glycans. 30th Joint Glycobiology Meeting, Oct 2019, lille, France. 2019. hal-02332287

HAL Id: hal-02332287

<https://hal.archives-ouvertes.fr/hal-02332287>

Submitted on 24 Oct 2019

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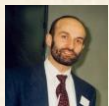
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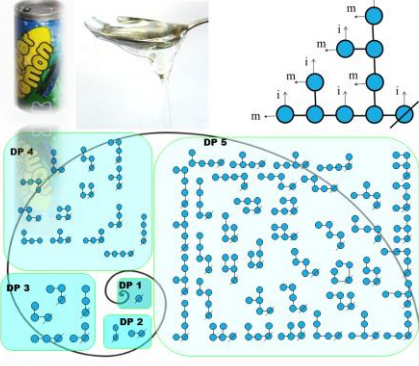
In the depth of oligosaccharidic structural complexity

The example of multiply branched glycans



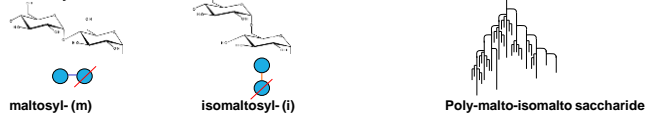
C. Bliard

Billions of sugars in a spoonful of syrup!



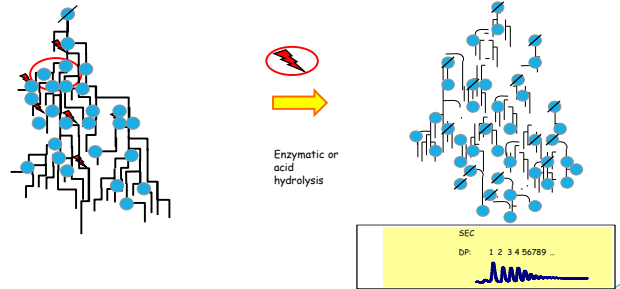
Abstract :
Random cleavage of branched reserve polysaccharides composed of two different (malto-, m) and (isomalto-, i) linking types lead to complex oligomeric mixtures of various polymeric degree (DP). Each DP is a mixture of molecules containing potentially all combinations of (m) and/or (i) sub-structures. Industrial hydrolysis of starches polysaccharides produce syrups with a low DP (typically from 1 to 20). The number of potential oligosaccharidic structures accessible by random hydrolysis grow exponentially with the DP. The number of isomeric structures for each given DP (n) is a Catalan number, noted C(n), calculated as $(2n \text{ choose } n)/(n+1) = (2n)!/(n!(n+1)!)$. The calculation gives 2 isomers (malto and isomalto) for (DP2), 16796 deca-saccharides potential isomers (DP10) and more than 6 billions eicosasaccharide isomers (DP20).

Introduction:
Glucose storage polysaccharides amylopectin or glycogen are huge polysaccharides composed of α -1,4 linked (malto-, m) chains branched on each other in a cascade of α -1,6 (isomalto-, i) chains with molecular sizes of 80 kDa up to several millions. Enzymatic or acid endolysis liberates malto-isomalto oligosaccharides (MIMOS) of various degrees of polymerisation (DP). Unlike oligosaccharides obtained by degrading linear polysaccharides each DP fraction contains a multiplicity of variously branched structure



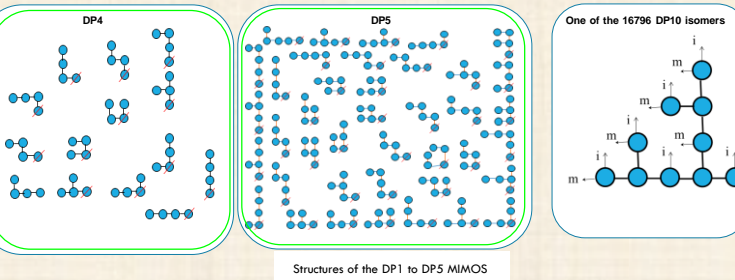
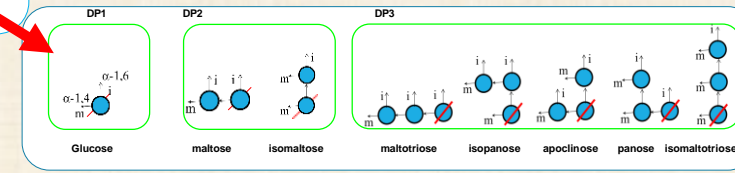
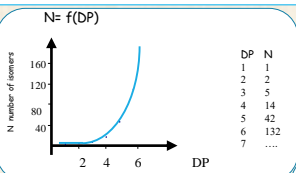
In the course of a collaborative research program devoted to separating and purifying malto-oligosaccharides MOS obtained from starch enzymatic hydrolysis we studied the structural complexity of branched malto/isomalto-oligosaccharides (MIMOS) [1]

Enzymatic or acid hydrolysis of glucose storage polysaccharide providing syrups of dextrin mixtures



Results and discussion
Number of potential MIMOS structures for each DP
Each glucose unit has two potential (α -1,4 m or α -1,6 i) linking site. Therefore the number of DP2 isomers is 2. Each of the DP2 isomer has three sites available for branching. For each DP+1 increment the number of will be the product of the DP isomers with the number of DP linking site minus the number of identical obtained structures. With each increment of the degree of polymerization DP(n) the number of potential isomer N of DP(n) increases as follows:
 $N(n) = 2n-1 + [(n-2) + 2n-3 \cdot (n-3)] + [(n-3) + 2n-3 \cdot (n-3)] + [(n-4) + 2n-4 \cdot (n-3) \dots] \dots$ etc (linear) (1st branch) (2nd branch) (3rd branch) .
The number of isomers grow exponentially with the DP.

Calculation:
The calculated number of potential discrete structure in each DP fraction follows a Catalan [2] binary tree sequence [3].
For increasing DP the number of potential structures of each DP groups is equal to: $(2n \text{ choose } n)/(n+1) = (2n)!/(n!(n+1)!)$
The number of isomer of DP(n) N is a Catalan number Cn.



Eugène-Charles Catalan (1814-1894)

$$C_n = \frac{1}{n+1} \binom{2n}{n} = \frac{(2n)!}{(n+1)!n!} \text{ for } n \geq 0$$

The table provides the calculation of the potential isomers numbers Cn for each oligosaccharidic DP up to DP 22. The number Cn is the sum of the numbers of isomers for each added branched monomer unit (BMU) for each DP line the DP line (e.g. the number Cn=14 of the DP4 is the sum 1+3+5+5+0 of the BMU line).
Each number in the table is the sum of the line endind over it. (e.g. for DP3/ BMU2 the number 2 is the sum of DP2 line 1+1+0 and for DP10/BMU2 the number 44 is the sum of 1+8+35 of the DP9 line ; or the number 440 at the DP 13/ BMU3 is the sum 1+12+77+350 of the DP13 line endind over)
It is interesting to note that common syrups displaying DP values (typically up to DP20) could contain more than 6 billions different types of unique oligosaccharidic structures.

Calculation chart of the potential Numbers (Cn) of branched polymers structures for increasing DP as a function of branch Nb (BMU)

DP	Cn	BMU	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	
1	1	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
2	2	0	1	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
3	5	0	1	2	2	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
4	14	0	1	3	5	5	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
5	42	0	1	4	9	14	14	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
6	132	0	1	5	14	28	42	42	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
7	429	0	1	6	20	48	80	112	112	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
8	1456	0	1	7	27	72	168	297	429	429	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
9	4862	0	1	8	35	110	275	572	1020	1456	1456	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
10	16796	0	1	9	44	154	429	1001	2032	3432	4862	4862	0	0	0	0	0	0	0	0	0	0	0	0	0	
11	58786	0	1	10	54	208	637	1638	3645	7072	11934	16796	16796	0	0	0	0	0	0	0	0	0	0	0	0	
12	208012	0	1	11	65	273	810	2148	6588	15264	31514	49360	68786	68786	0	0	0	0	0	0	0	0	0	0	0	
13	742900	0	1	12	77	354	1260	3808	9996	23754	48460	90444	140024	208012	208012	0	0	0	0	0	0	0	0	0	0	
14	2674840	0	1	13	90	449	1700	5508	15504	40364	97210	178452	336822	534888	742900	742900	0	0	0	0	0	0	0	0	0	
15	9074815	0	1	14	105	563	2207	7952	21252	60164	140720	326878	637072	1098648	1631616	2125140	2674840	2674840	0	0	0	0	0	0	0	
16	33397670	0	1	15	121	693	2807	10619	33612	95918	241157	570313	1227282	2414420	4340488	7020450	10986480	16316160	21251400	26748400	26748400	0	0	0	0	0
17	129646790	0	1	16	138	798	3705	14364	48279	144218	389387	961408	2187788	4802620	8847578	15967988	28662360	50376170	88475780	159679800	286623600	503761700	884757800	1596798000	2866236000	
18	477638700	0	1	17	157	958	4653	19019	67298	211508	601875	1562778	3748668	8351070	17738845	33268225	58827960	94287120	129646790	177388450	332682250	588279600	942871200	1296467900	1773884500	
19	1767931400	0	1	18	177	1120	5775	24794	92068	303688	904475	2466720	6216231	14567288	33866925	65120550	124063920	238349620	347991620	477638700	621623100	920680000	1456728000	2466720000	4776387000	
20	6566204000	0	1	19	198	1303	7284	31878	133701	427578	1333045	3788756	10015201	24683288	56448210	121180700	245547200	463991580	811665700	1296467900	1767931400	2466720000	4776387000	6216231000	9206800000	
21	24466267000	0	1	20	220	1514	8602	34848	150300	520020	1704960	5728862	15729816	40320252	96788830	218349120	463991580	827881700	1296467900	1767931400	24466267000	47763870000	62162310000	92068000000	129646790000	
22	94426536000	0	1	21	243	1744	10304	40818	151288	512388	1677038	5716300	18452120	46123000	113620000	270627720	603991580	1361661900	24466267000	47763870000	94426536000	176793140000	244662670000	477638700000	621623100000	

Glossary:

- Glucose Reducing end
- MOS : Malto Oligosaccharides α (1->4)
- IMOS : IsoMalto Oligosaccharides α (1->6)
- MIMOS : Malto-IsoMalto Oligosaccharides
- DP : Degree of Polymerization
- BMU : Branched monomeric unit

Ref.: [1] Bliard, C., Mariné, A. (2008). Analyse prédictive des structures potentielles des dextrines MOS et MIMOS. SCF Grand Est V. Fifth meeting of the SCF. Vandoeuvre les Nancy, France, 15th of April.
[2] E. Catalan, Note sur une équation aux différences finies, J. Math. Pures Appl. 3 (1839) 508-516. & (ibid) 4 (1839), 91-94.
[3] Jean-Christophe Aval, Multivariate Fuss-Catalan numbers, Discrete Mathematics 308 (2008) 4660 - 4669.