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. . . : 47/05

:

$$L = 2 \times 22,0 = 44,0 \text{ m.}$$
$$Q = 250 \text{ kN.}$$

6,0 m.

54,0 m.

200 kN/m<sup>2</sup>.

Fe

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- 1.
- 2.
- 3.
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- 
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- 
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- 
- 
- 
- 4.
- 5.

15  
08.06.2009.

**1.**

- 1.1
- 1.2
- 1.3
- 1.4

**2.**

- 2.1 (POS GN)
- 2.2 (POS P)
- 2.3 (POS FR2)
- 2.4 (POS FR1)
- 2.5 (POS FS)
- 2.6 (POS GS1, POS GS3)
- 2.7 (POS R)
- 2.8 (POS R1)

**3.**

- 3.1 (POS GN)
- 3.2 (POS GS1, POS GS2, POS GS3)

**4.**

- 4.1 (POS KS1)
- 4.2 (POS KS2)
- 4.3 (POS SBU)
- 4.4 (POS VS1, POS VS2, POS SK)

**5.**

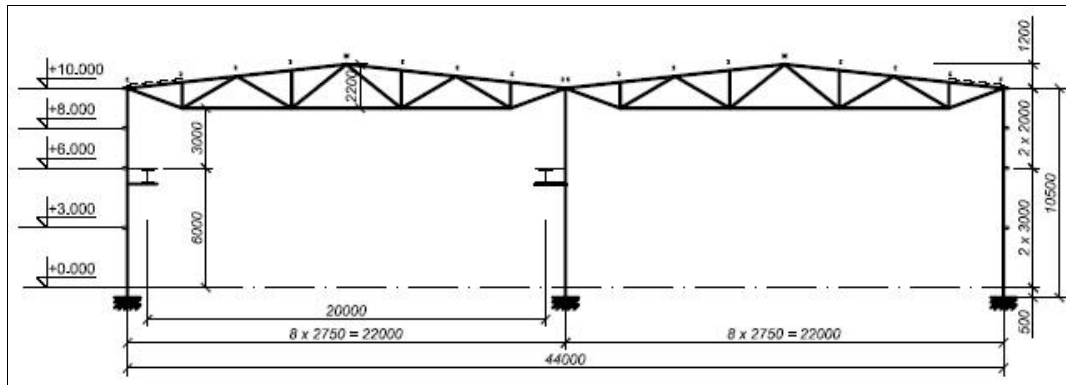
1.

1.1.

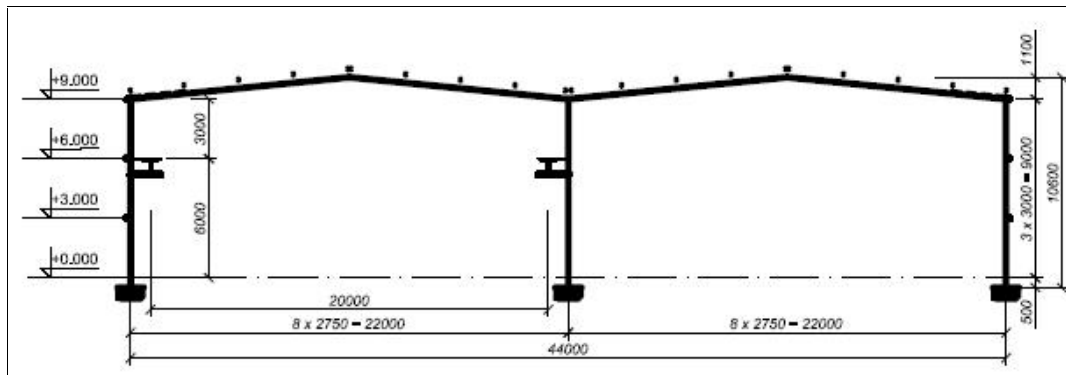
+6,00 m, 250 kN, 20,0 m, 54,0 m, ( )  
 6,0 m.

$2 \times 22,0 = 44,0 \text{ m.}$  ( 1.1 1.2).

- 1) ( , - ), -0,50 m
- 2) ( -0,50 m I- ),



1.1.

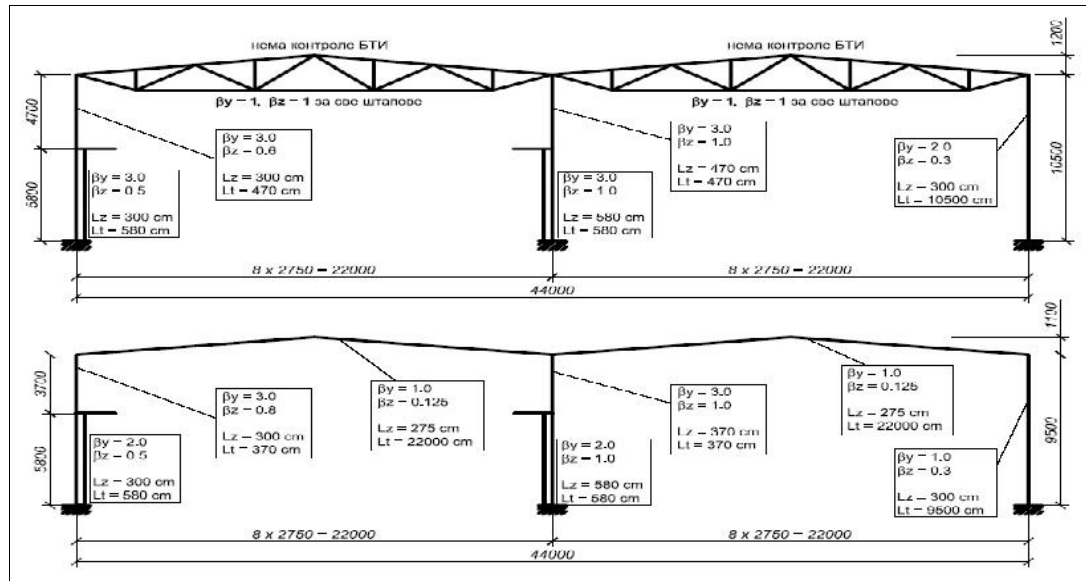


1.2.

TOWER 6.

$\beta_y$   $\beta_z$

1.3.



1.3.

TOWER 6,

TOWER 6,

2,75 m.

( )

6,0 m,

(POS R1),

**1.2.****I)** ( )

) ( , )

- 1.
- 2.

$$g_{kp} = 0,35 \text{ kN/m}^2$$

$$g_{fo} = 0,35 \text{ kN/m}^2$$

) ( )

- 3.
4. ,
- 5.1
- 5.2

$$g_{kr} = 0,10 \text{ kN/m}^2$$

$$g_{ks} = 0,05 \text{ kN/m}^2$$

$$g_{gv} = 0,10 \text{ kN/m}^2$$

$$g_{gv} = 0,25 \text{ kN/m}^2$$

) ( )

- 6.
7. ,
- 8.

$$g_{fr} = 0,10 \text{ kN/m}^2$$

$$g_{fs} = 0,05 \text{ kN/m}^2$$

$$g_{gs} = 0,20 \text{ kN/m}^2$$

) ( , )

- 9.
- 10.

$$g_{nd} = 2,20 \text{ kN/m}$$

$$g_{bu} = 0,30 \text{ kN/m}$$

**II)** ( )

a)

$$s = 1,00 \text{ kN/m}^2$$

**III)**

( )

a)

”

SEMD2K1”

:

$$Q=250 \text{ kN}$$

$$L=4600 \text{ mm}$$

$$A=20,0 \text{ m}$$

$$E=F=1600 \text{ mm}$$

$$P_{1L,max} / P_{1D,min} = 199,0 / 57,5 \text{ kN}$$

$$P_{2L,max} / P_{2D,min} = 200,0 / 59,0 \text{ kN}$$

)

$$=1.30$$

(

$$\psi=1.10$$

)

**IV)**

( )

a)

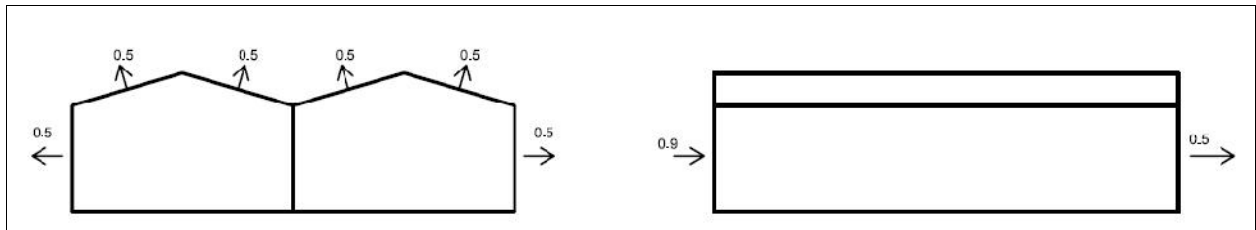
,

:

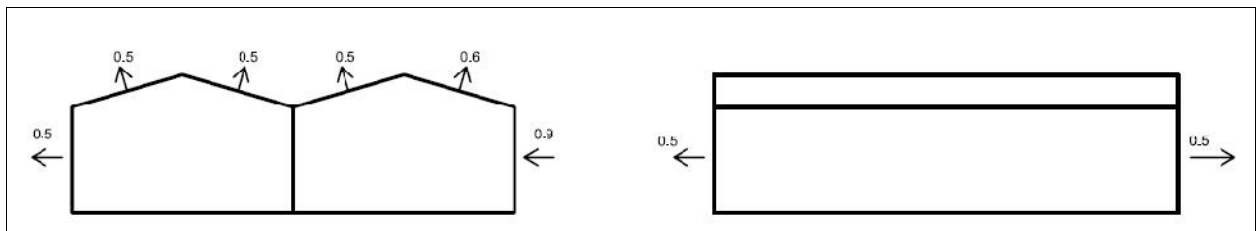
$$t = \pm 15 \text{ }^\circ\text{C}$$

V) ( )

- :  $k_t = 1,0$   
 $= 1,225 \text{ kg/m}^3$
- ( )  $v = 19 \text{ m/s}$
- ( )  $k_T = 1,0$   
 $S_z = 1,0$
- $B, h \leq 10,0 \text{ m}$   $K_z^2 = 1,0$
- $G_z = 2,0$
- ( ):



1.3.



1.4.

- ( ):
- :  $C_{pe,max} = -0,5$   
 $C_{pe,min} = -0,6$
- :  $C_{pi,max/min} = \pm 0,2$

- ( )

$$q_{m,T,z} = 0,5 \times (v_{m,50,10} \times k_t \times k_T)^2 \times 10^{-3} \times S_z^2 \times K_z^2 =$$

$$= 0,5 \times 1,225 \times (19^2 \times 1,0 \times 1,0)^2 \times 10^{-3} \times 1,0 \times 1,0 = 0,22 \text{ kN/m}^2$$

-

$$q_{g,T,z} = q_{m,T,z} \hat{=} G_z = 0,22 \hat{=} 2,0 = 0,44 \text{ kN/m}^2$$

VI) ( )

” ” , . .

1/10

VII) ( )

1/7

$$P_k = 1/7 \times (P_{1,max} + P_{2,max}) = 1/7 \times (199 + 200) = \mathbf{57,0 \text{ kN}}$$

VIII) ( )

IX) ( )

$$S = K \times G$$

$$K = K_o \times K_s \times K_d \times K_p$$

$$K_o = 1,0$$

$$K_d = 1,0$$

$$K_s = 0,050$$

$$K_p^{pop} = 1,0$$

$$K_p^{pod} = 1,3$$

$$K_{pop} = 1,0 \times 0,050 \times 1,0 \times 1,0 = 0,050$$

$$K_{pod} = 1,0 \times 0,065 \times 1,0 \times 1,0 = 0,065$$

( ):

$$m_k = (g_{kp} + g_{kr} + g_{ks} + g_{gv} + s) + 2 \times h/2 \times (g_{fo} + g_{fr} + g_{gs})/B + (g_{nd} + g_{bo})/B$$

$$m_k = (0,35+0,10+0,05+0,10+1,0) + 2 \times 10,0/2 \times (0,35 + 0,10 + 0,20)/44 + (2,20 + 0,30)/44$$

$$\mathbf{m_k = 1,8045 \text{ kN/m}^2}$$

$$m_k = (g_{kp} + g_{kr} + g_{ks} + g_{gv} + s) + 2 \times h/2 \times (g_{fo} + g_{fr} + g_{gs})/B + (g_{nd} + g_{bo})/B$$

$$m_k = (0,35+0,10+0,05+0,25+1,0) + 2 \times 9,0/2 \times (0,35 + 0,10 + 0,20)/44 + (2,20 + 0,30)/44$$

$$\mathbf{m_k = 1,9398 \text{ kN/m}^2}$$

$$S_1 = K_1 \times m_k \times B/2 \times l = 0,050 \times 1,8045 \times 44,0/2 \times 6,0$$

$$\mathbf{S_1 = 11,91 \text{ kN}}$$

$$S_1 = K_1 \times m_k \times B/2 \times l = 0,050 \times 1,9398 \times 44,0/2 \times 6,0$$

$$\mathbf{S_1 = 12,80 \text{ kN}}$$



**1.3.**

## 1.3.1

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)

$$W_1 = q_{g,T,z} \times C_{pe, \max} \times 1 \times h/2 = 0,44 \times 0,9 \times 6,0 \times 10,0/2 = \mathbf{11,88 \text{ kN}}$$

$$W_2 = q_{g,T,z} \times C_{pe, \min} \times 1 \times h/2 = 0,44 \times 0,5 \times 6,0 \times 10,0/2 = \mathbf{6,60 \text{ kN}}$$

)

$$W_1 = q_{g,T,z} \times C_{pe, \max} \times 1 \times h/2 = 0,44 \times 0,9 \times 6,0 \times 9,0 = \mathbf{10,69 \text{ kN}}$$

$$W_2 = q_{g,T,z} \times C_{pe, \min} \times 1 \times h/2 = 0,44 \times 0,5 \times 6,0 \times 9,0 = \mathbf{5,94 \text{ kN}}$$

( ):

-

(II )

$$v^{\text{II}} = 1,33$$

-

(III )

$$v^{\text{III}} = 1,20$$

)

$$(2 \times S_1)/(W_1 + W_2) = (2 \times 11,91)/(11,88 + 6,60) = 1,289 > 1,108 = 1,33/1,20 = v^{\text{II}}/v^{\text{III}}$$

)

$$(2 \times S_1)/(W_1 + W_2) = (2 \times 12,80)/(10,69 + 5,94) = 1,540 > 1,108 = 1,33/1,20 = v^{\text{II}}/v^{\text{III}}$$

!

## 1.3.2

)

$$\min q_{\downarrow} = g_{kp} + g_{kr} = 0,35 + 0,10 = \mathbf{0,45 \text{ kN/m}^2}$$

)

$$\max q_{\uparrow} = q_{g,T,z} \times (C_{pe, \min} - C_{pi, \max}) = 0,44 \times (0,6 + 0,2) = \mathbf{0,35 \text{ kN/m}^2}$$

**min q<sub>É</sub> > max q<sub>Ç</sub> È**

!

## 1.3.3

$$P_{1, \max}^L = 199,0 \text{ kN}$$

$$P_{1, \min}^D = 57,5 \text{ kN}$$

$$P_{2, \max}^L = 200,0 \text{ kN}$$

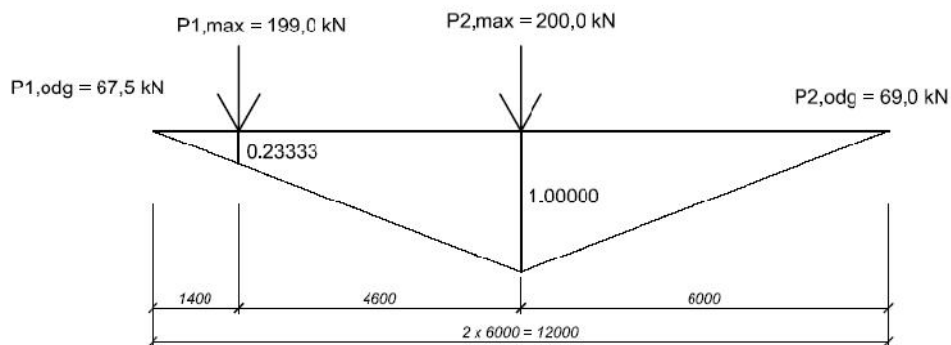
$$P_{2, \min}^D = 59,0 \text{ kN}$$

$$P_{1,L,Q} = P_{2,L,Q} = 1/2 \times Q \times (A - E)/A = 1/2 \times 250 \times (20,0 - 1,6)/20,0 = \mathbf{115,0 \text{ kN}}$$

$$P_{1,D,Q} = P_{2,D,Q} = 1/2 \times Q \times E/A = 1/2 \times 250 \times 1,6/20,0 = \mathbf{10,0 \text{ kN}}$$

$$P_{1, \text{odg}}^D = P_{1, \min}^D + P_{1,D,Q} = \mathbf{57,5 + 10,0 = 67,5 \text{ kN}}$$

$$P_{2, \text{odg}}^D = P_{2, \min}^D + P_{2,D,Q} = \mathbf{59,0 + 10,0 = 69,0 \text{ kN}}$$



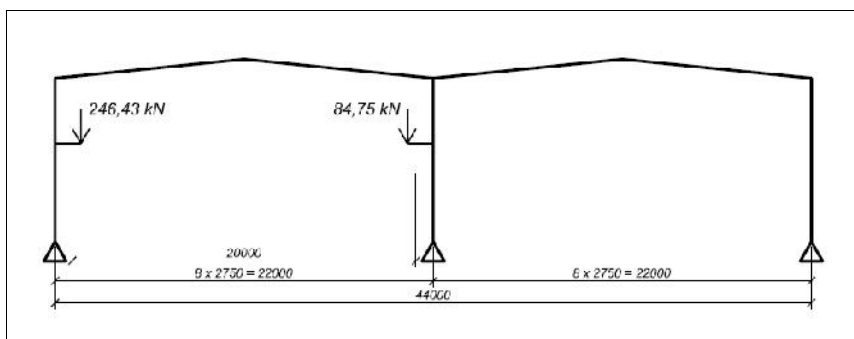
1.5.

$$R_{\max} = P_{1,\max} \times 0,23333 + P_{2,\max} \times 1,00000 = 199,0 \times 0,23333 + 200,0 \times 1,00000$$

$$R_{\max} = 246,43 \text{ kN}$$

$$R_{\text{odg}} = P_{1,\text{odg}} \times 0,23333 + P_{2,\text{odg}} \times 1,00000 = 67,5 \times 0,23333 + 69,0 \times 1,00000$$

$$R_{\text{odg}} = 84,75 \text{ kN}$$



1.6.

1.4

\_\_\_\_\_:

TOWER.

1) \_\_\_\_\_ ( $\lambda_{gv} = 6,0 \text{ m}$ )

- $(g_{kp} + g_{kr} + g_{ks}) \times \lambda_{gv} = (0,35 + 0,10 + 0,05) \times 6,0 = 3,00 \text{ kN/m}$
- $S \times \lambda_{gv} = 1,0 \times 6,0 = 6,00 \text{ kN/m}$
- $q_{g,T,z} \times C_{pe,\min} \times \lambda_{gv} = 0,44 \times (-0,6) \times 6,0 = -1,58 \text{ kN/m}$
- $q_{g,T,z} \times C_{pe,\max} \times \lambda_{gv} = 0,44 \times (-0,5) \times 6,0 = -1,32 \text{ kN/m}$
- $q_{g,T,z} \times C_{pi,\max/\min} \times \lambda_{gv} = 0,44 \times (\pm 0,2) \times 6,0 = \pm 0,53 \text{ kN/m}$

- $G = 3,00 \times 2,75 = 8,25 \text{ kN}$  ( $\lambda_{roz} = 2,75 \text{ m}$ )
- $G/2 = 3,00 \times 2,75/2 = 4,12 \text{ kN}$  ( $\lambda_{roz}/2 = 1,375 \text{ m}$ )
- $S = 6,00 \times 2,75 = 16,50 \text{ kN}$  ( $\lambda_{roz} = 2,75 \text{ m}$ )
- $S/2 = 6,00 \times 2,75/2 = 8,25 \text{ kN}$  ( $\lambda_{roz}/2 = 1,375 \text{ m}$ )



5)

6)

7)

441

20.

1)

$$h_{\text{dop}} = h/150 = 10500/150 = 70,0 \text{ mm}$$

$$h_{\text{dop}} = h/150 = 9500/150 = 63,3 \text{ mm}$$

2)

$$v_{\text{dop}} = B/300 = 22000/300 = 73,3 \text{ mm}$$

3)

$$h_{\text{dop}} = \ddot{E}10,0 \text{ mm}$$

I

I  
II  
III  
IV  
VII

= (g)

II

→  
V  
VI  
VIII  
IX  
X  
XI  
XII  
XIII  
XIV  
XV  
XVI  
XVII

=

+

+

-

+

-

+

-

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-

+

-

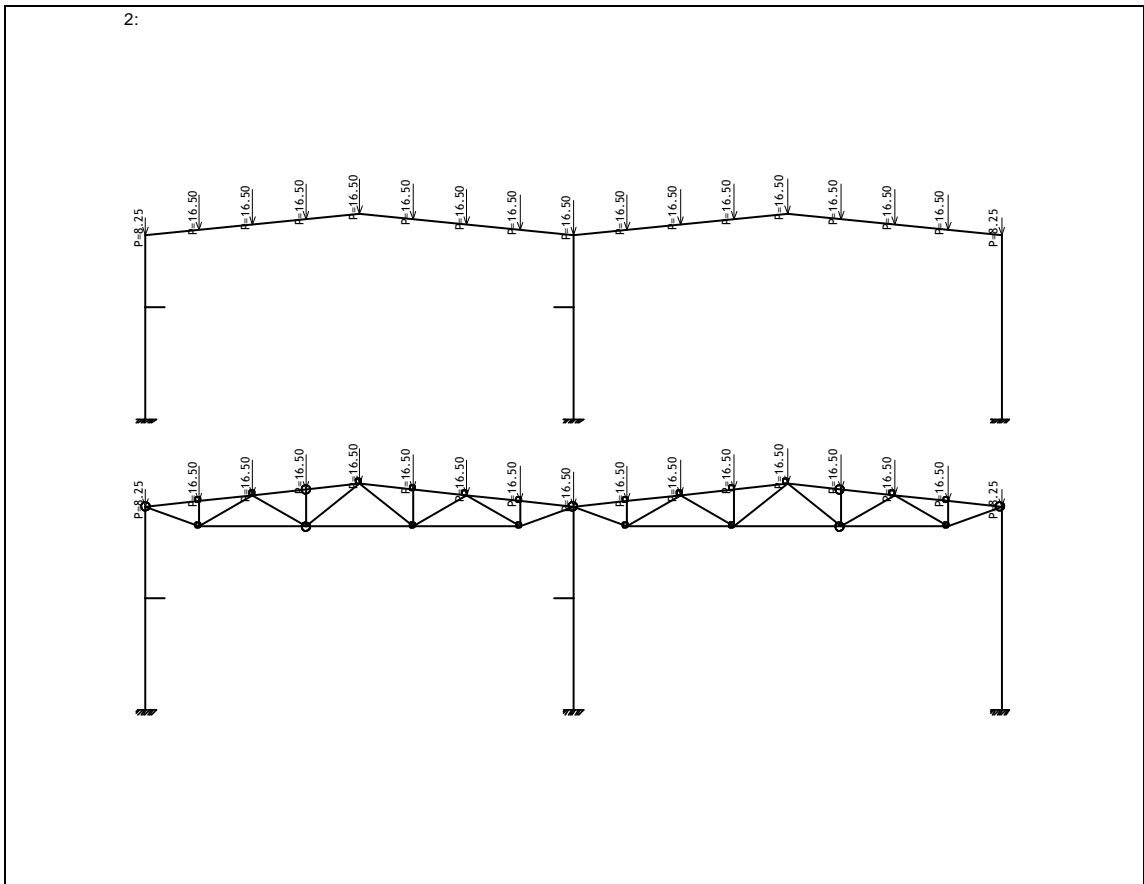
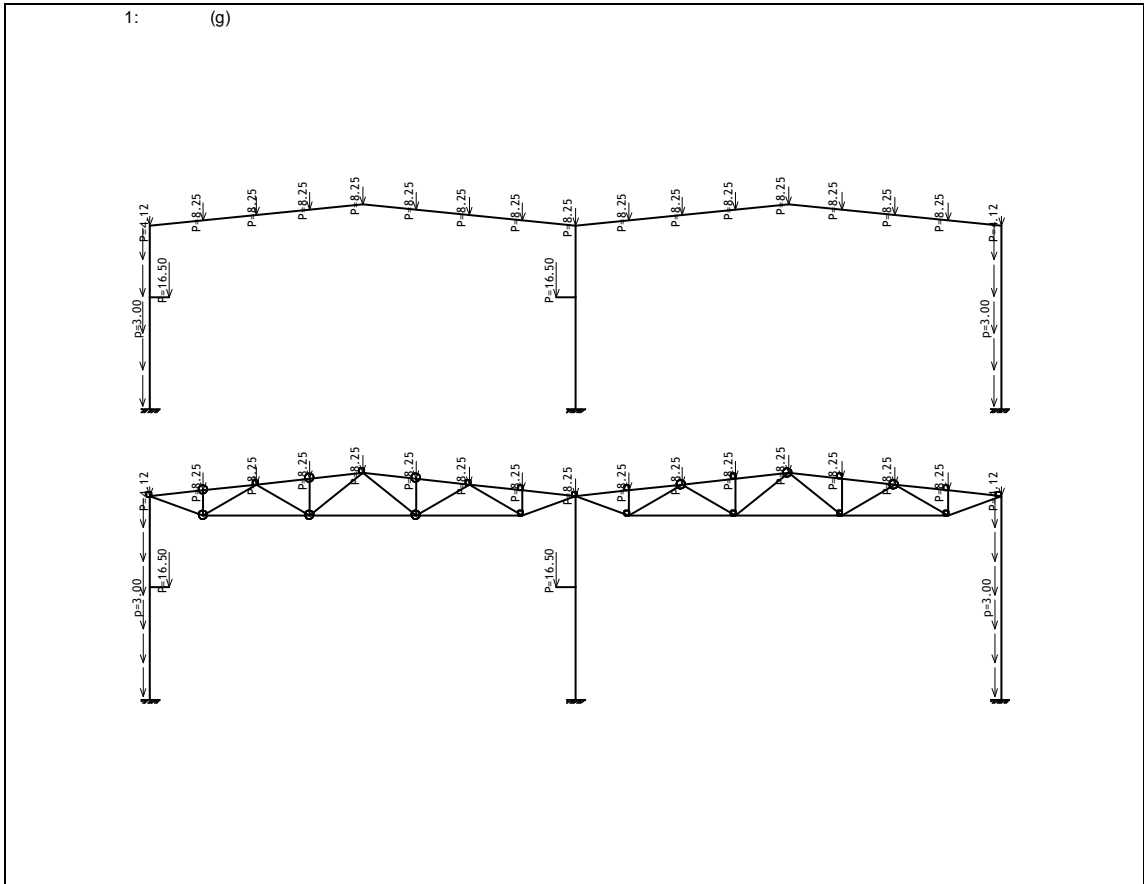
III

→  
→  
XVIII  
XIX

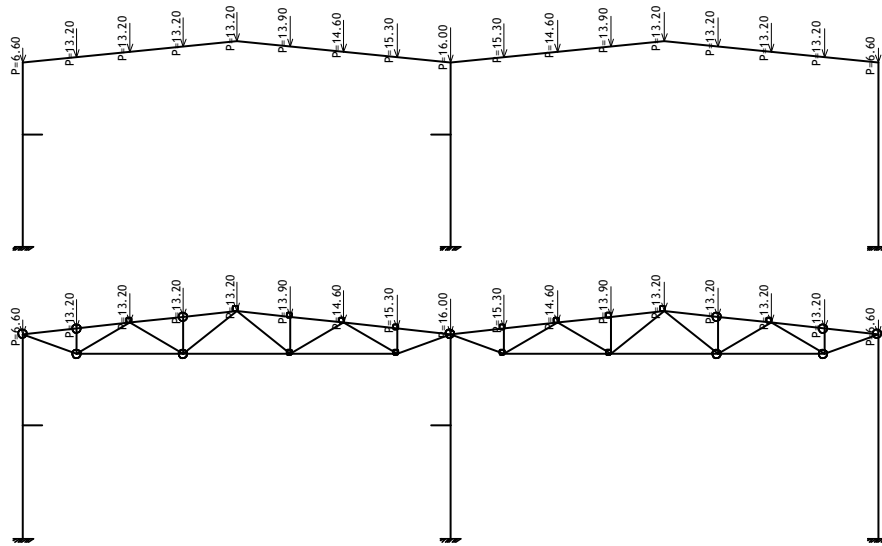
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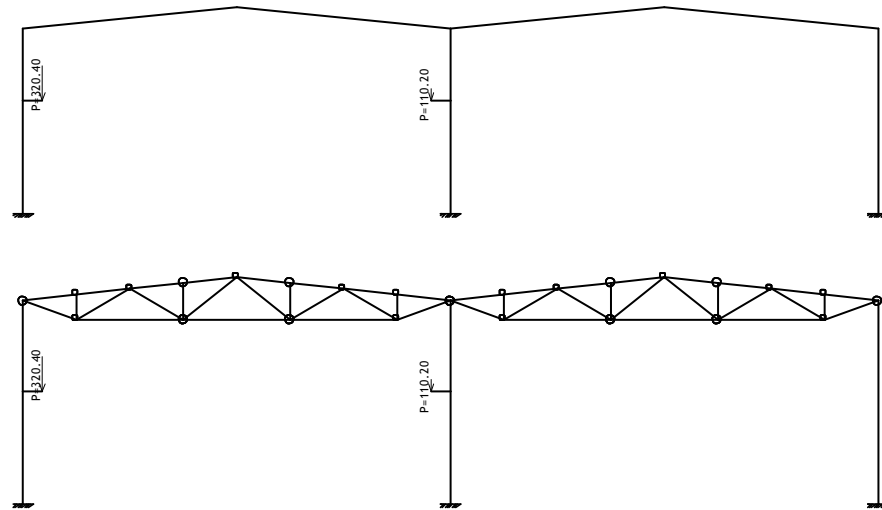
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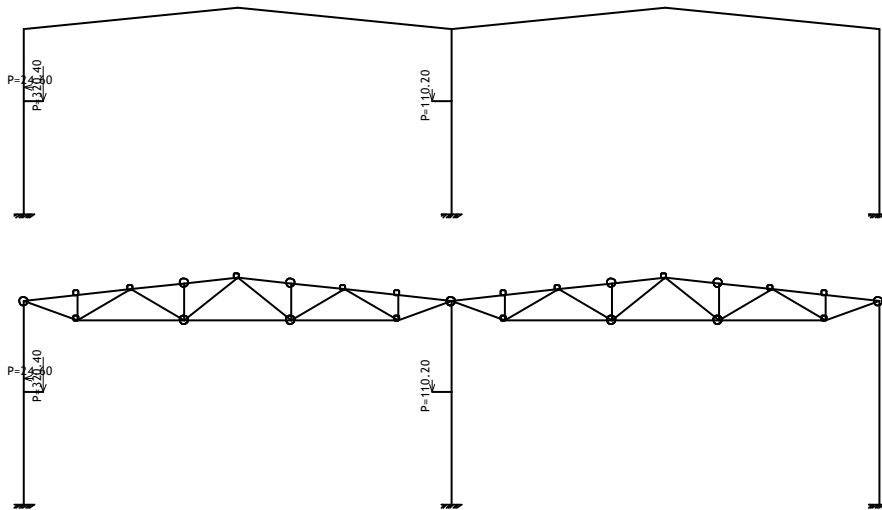
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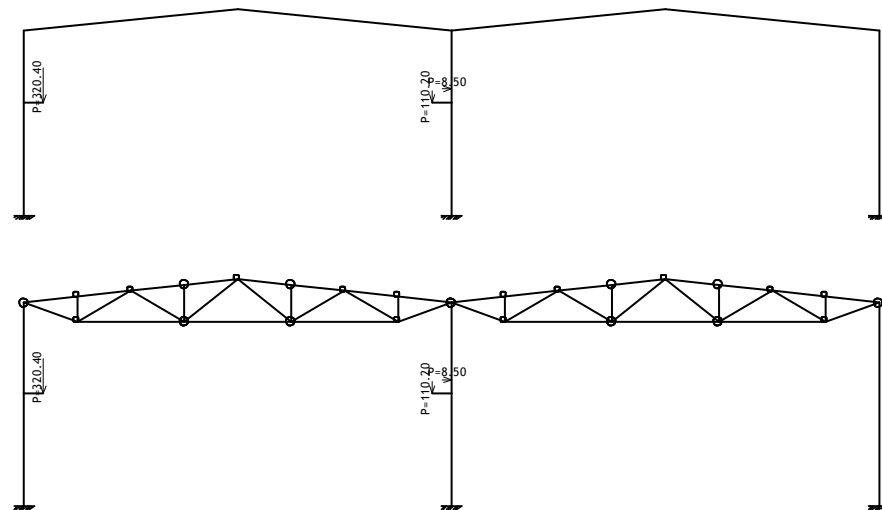
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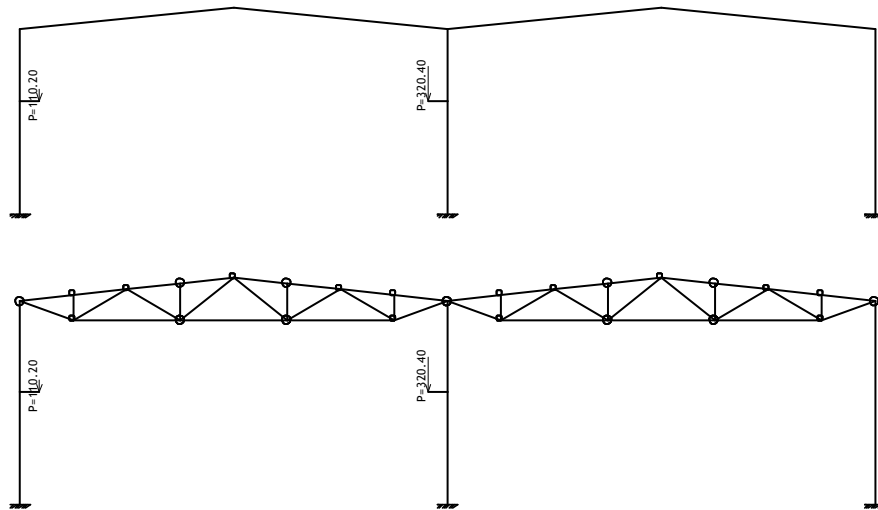
5: +



6: -

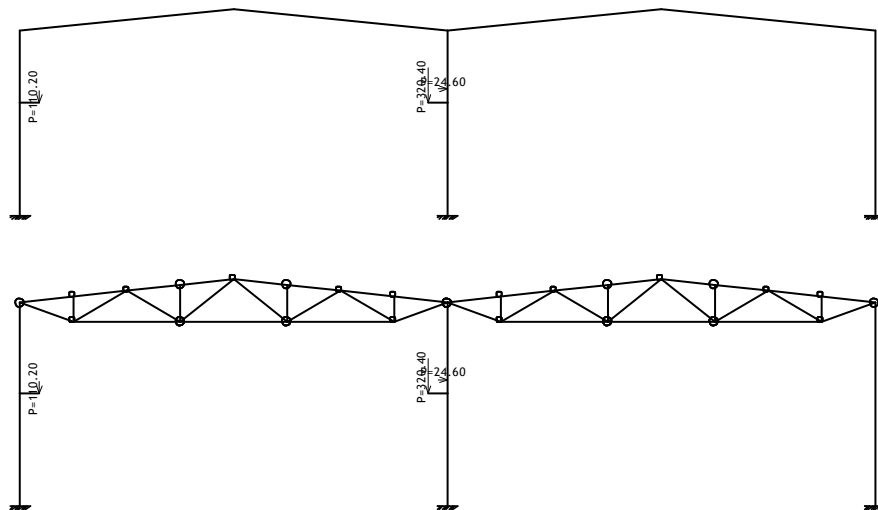


7:



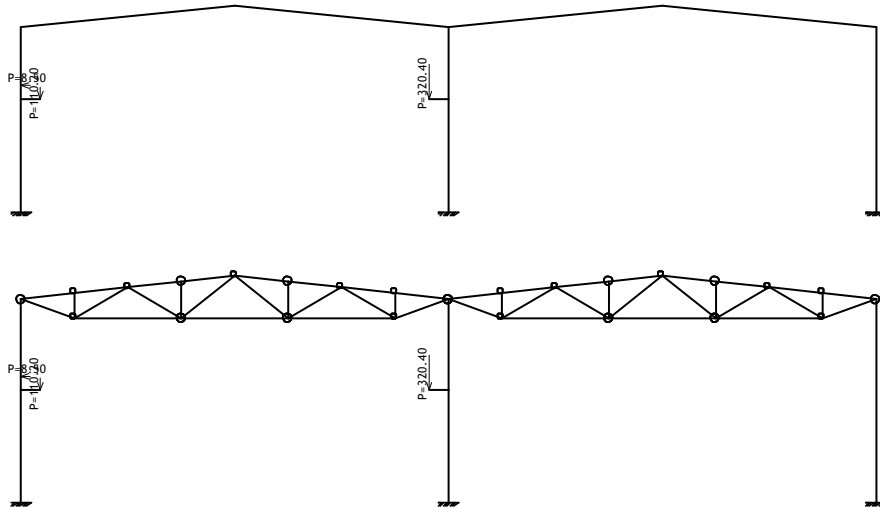
8:

+

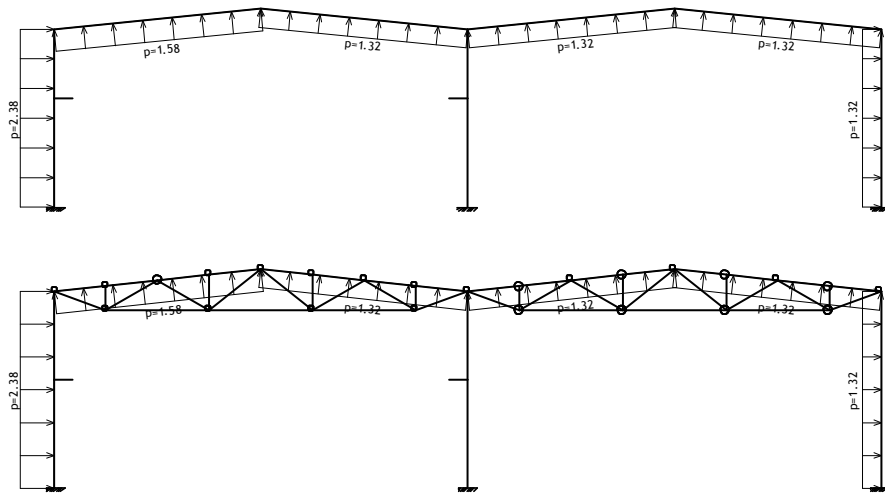




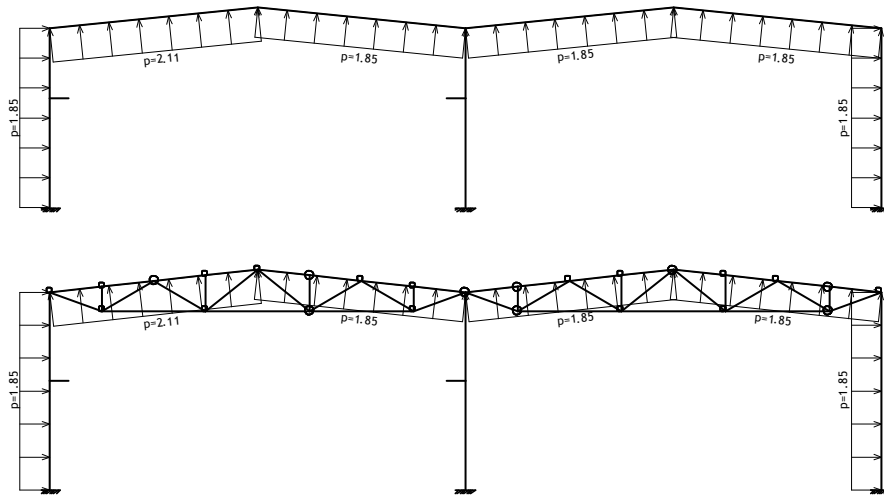
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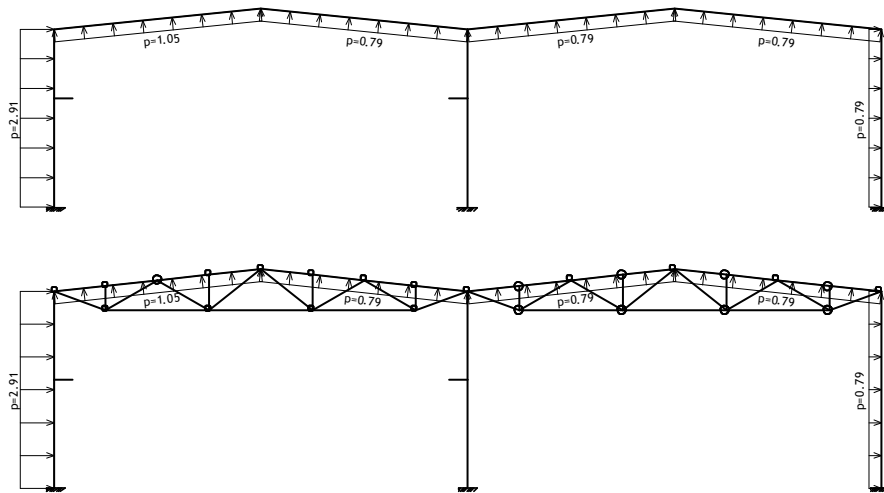
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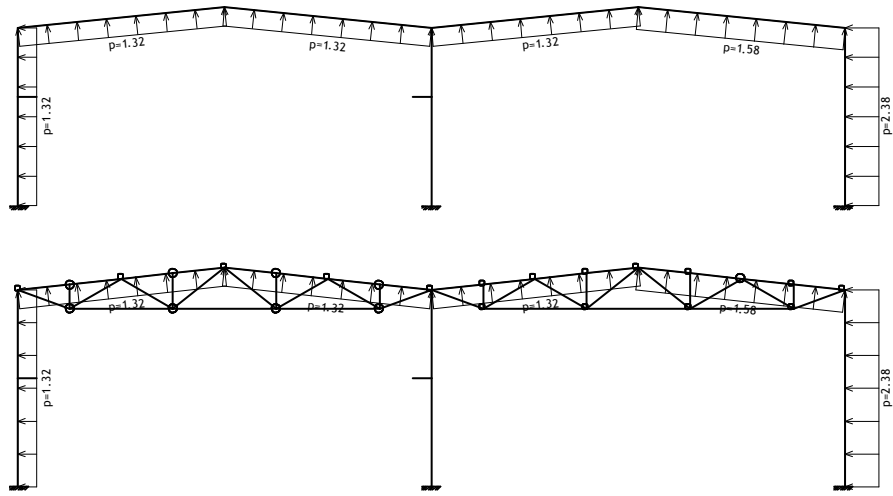
11: +



12: -

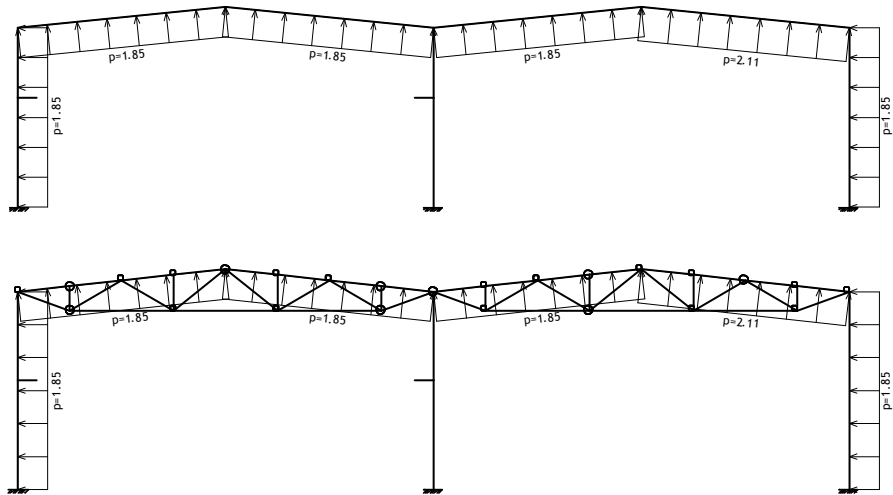


13:

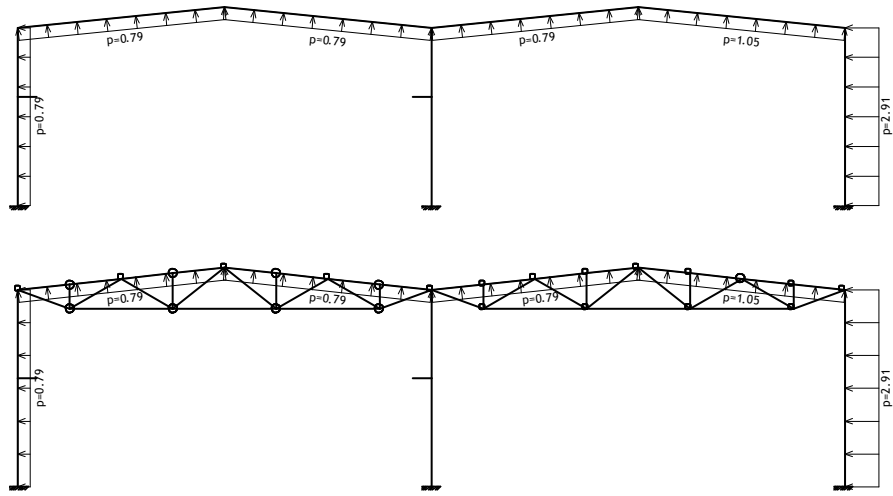


14:

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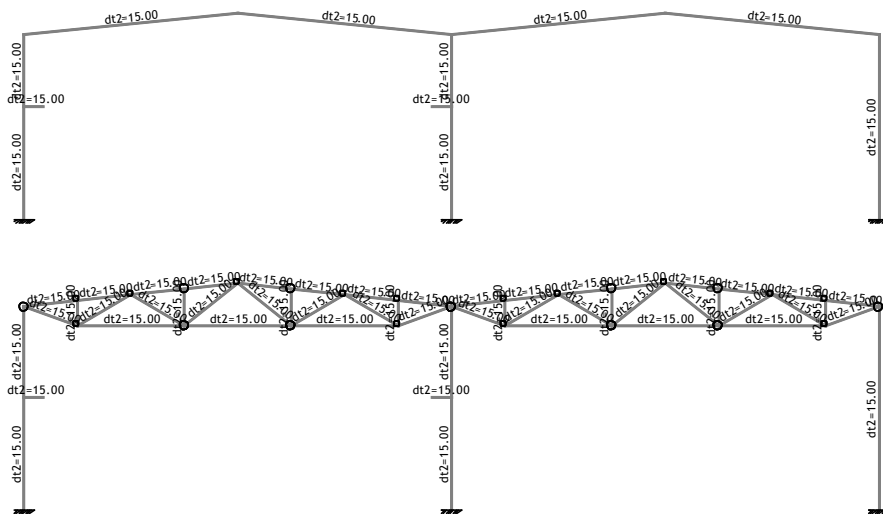


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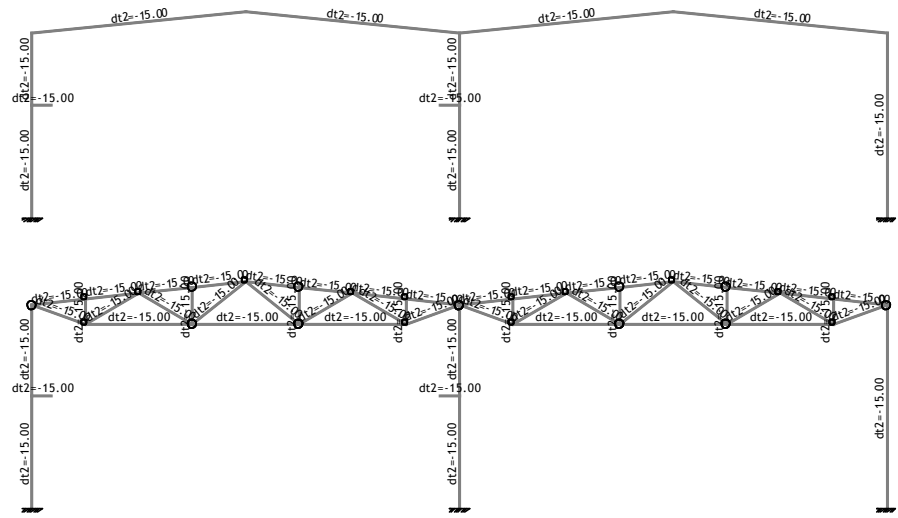


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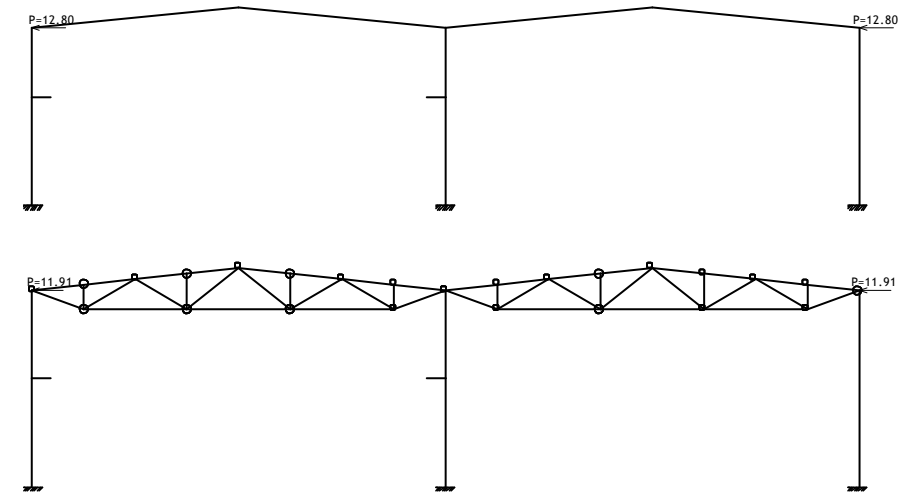
+



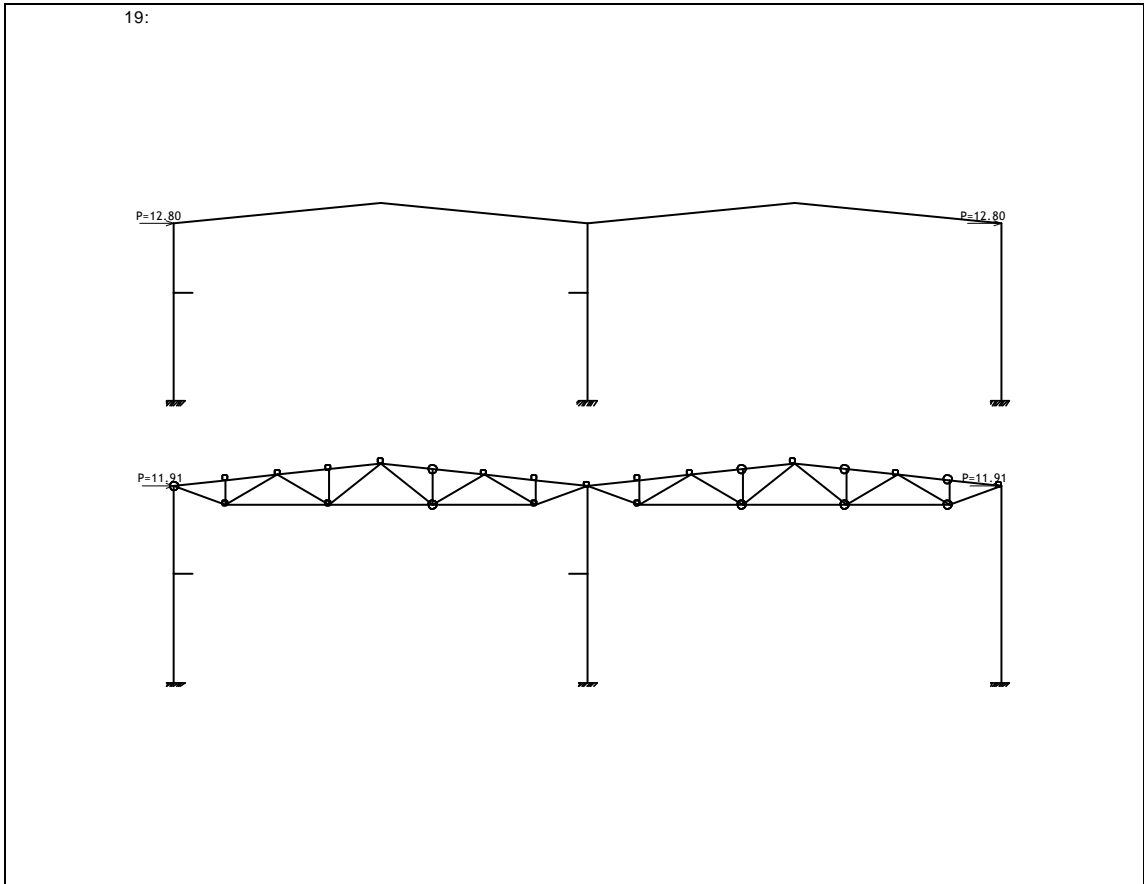
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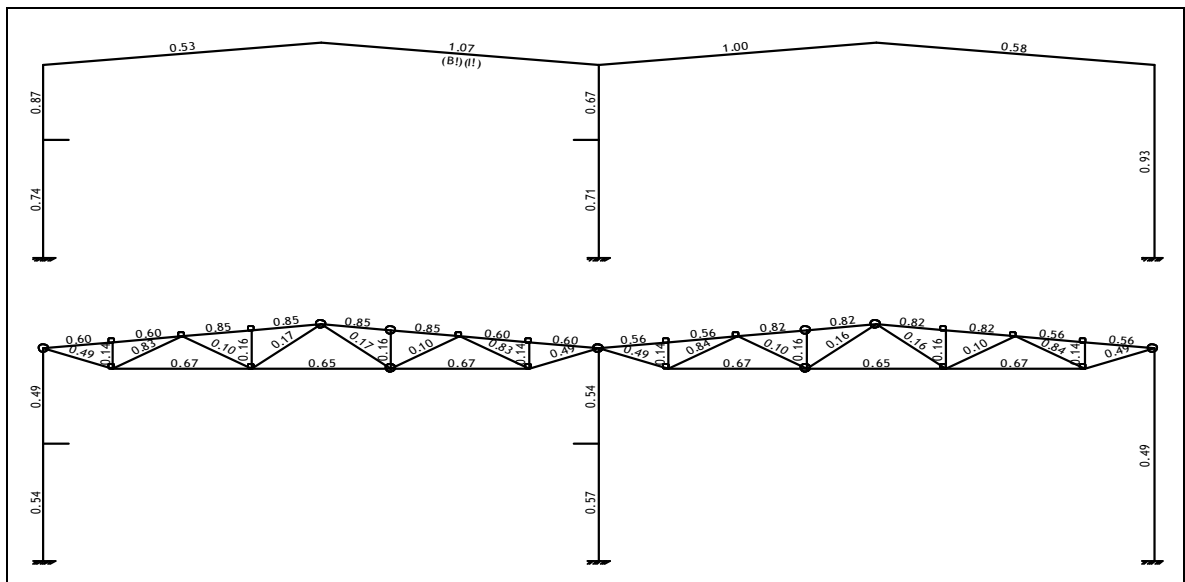
18:



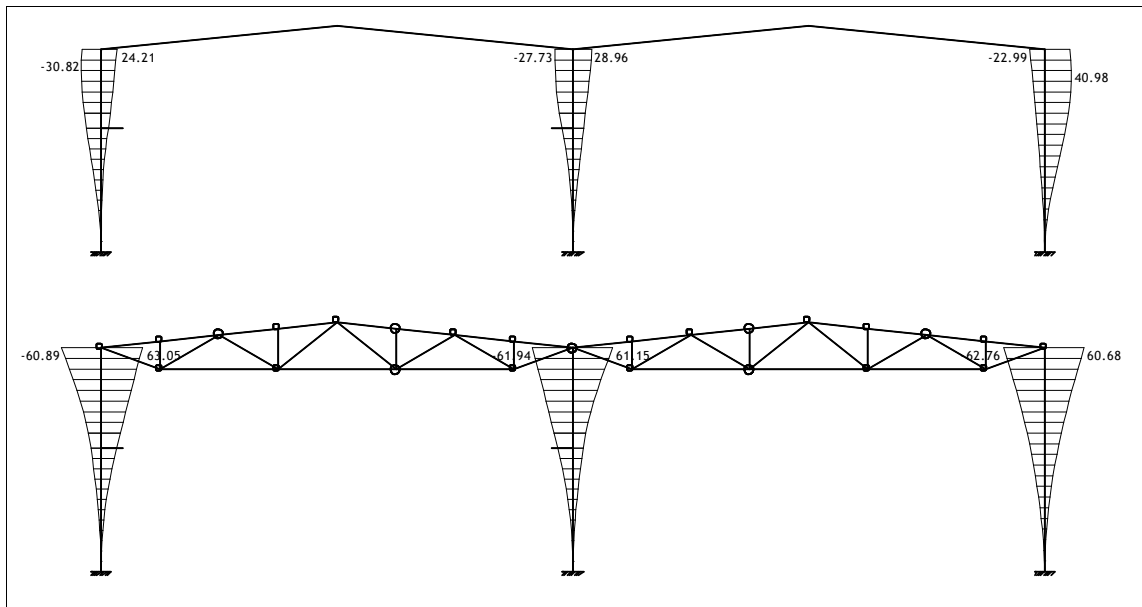
19:



7%,



mm.



$$h_{\max, \text{ram}} = 40,98 \text{ mm} < h_{\text{dop}} = 63,3 \text{ mm}$$

$$h_{\max, \text{resetka}} = 63,05 \text{ mm} < h_{\text{dop}} = 70,0 \text{ mm}$$

		[m]	[kg/m]	[kg]
	HOP 140 x 140 x 5	44,20	20,94	925,55
	HOP 100 x 80 x 4	52,40	10,60	555,44
	HOP 140 x 140 x 5	44,60	20,94	933,92
	HEA 320	10,00	97,60	976,00
	HEA 320	10,00	97,60	976,00
	HEA 550	10,00	166,00	1660,00
				<b>: 6026,91 kg</b>
		[m]	[kg/m]	[kg]
	IPE 600	44,20	122,00	5392,40
	HEA 340	9,00	105,00	945,00
	HEA 340	8,00	105,00	840,00
	HEA 450	10,00	140,00	1400,00
				<b>: 8577,40 kg</b>

## 2.

## 2.1 (POS ND)

- ,  $L = 6,0 \text{ m}$ .
- :  $= 1.30$
- :  $\psi = 1.10$
- :  $f_{\text{dop}} = L/750 = 6000,0/750 = 8,0 \text{ mm}$
- 
- $L/6 = 1000 \text{ mm}$ .

## 2.1.1

$g = 3,50 \text{ kN/m}$  (

)

$Q = 250 \text{ kN}$

$A = 20,0 \text{ m}$

$L = 4600 \text{ mm}$

$E = F = 1600 \text{ mm}$

$P_{1,\text{max}} = 199,0 \text{ kN}$

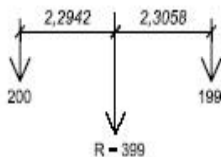
$P_{2,\text{max}} = 200,0 \text{ kN}$

$P_{1,\text{min}} = 57,5 \text{ kN}$

$P_{2,\text{min}} = 59,0 \text{ kN}$

I

$$\begin{aligned}\sigma_{\text{dop}} &= 16,0 \text{ kN/cm}^2 \\ \tau_{\text{dop}} &= 9,0 \text{ kN/cm}^2 \\ \sigma_{\text{w, dop}} &= 12,0 \text{ kN/cm}^2\end{aligned}$$



1) \_\_\_\_\_ :

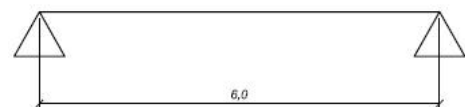
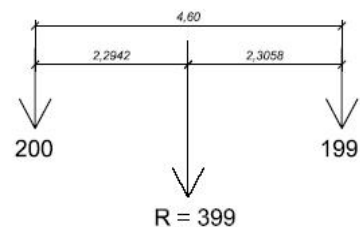
$\max M_1 = ?$

$a_1 = 2,2942 \text{ m}$

$R = 399,0 \text{ kN}$

$M_1^1 = 0$

$$\max M_1 = \frac{399,0}{6,0} \times \left( \frac{6,0 - 2,2942}{2} \right)^2 - 0 = 199,5 \text{ kNm}$$





$$\max M_2 = ?$$

$$a_2 = -2,3058 \text{ m}$$

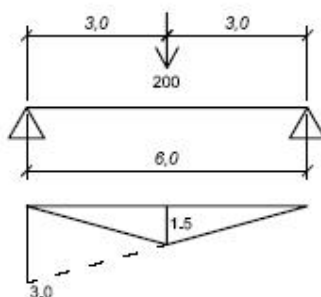
$$R = 399,0 \text{ kN}$$

$$M_2^1 = 200,0 \times 4,60 = 920,0 \text{ kNm}$$

$$\max M_2 = \frac{399,0}{6,0} \times \left( \frac{6,0 + 2,3058}{2} \right)^2 - 920,0 = 226,9 \text{ kNm}$$

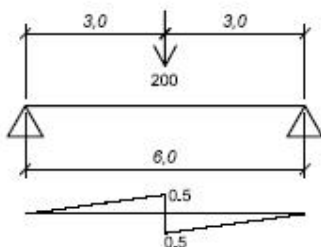
$$\text{abs } M_{\max} = 226,90 \text{ kNm}$$

2)



$$M_{\max} = 200,0 \times 1,50 = 300,0 \text{ kNm}$$

$$l = 6,0 \text{ m (P = 200 kN)}.$$



$$M_p = 300,0 \text{ kNm}$$

$$T_{p, \text{odg}} = 200,0 \times 0,5 = 100,0 \text{ kN}$$

$$M_g = 1,50 \times ql/2 = 1,50 \times (3,5 \times 6,0)/2 = 15,75 \text{ kNm}$$

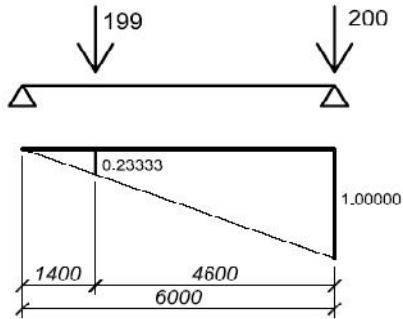
$$T_{g, \text{odg}} = ql/2 - 3,0 \times q = (3,5 \times 6,0)/2 - 3,0 \times 3,5 = 0$$

$$M_{\max} = \psi \times M_g + \chi \times M_p = 1,10 \times 15,75 + 1,30 \times 300,0$$

$$M_{\max} = 407,3 \text{ kNm}$$

$$T_{\text{odg}} = \psi \times T_{g, \text{odg}} + \chi \times T_{p, \text{odg}} = 0 + 1,30 \times 100,0$$

$$T_{\text{odg}} = 130,0 \text{ kN}$$



$$T_p = 1,0 \times 200,0 + 0,233 \times 199,0 = 246,43 \text{ kN}$$

$$T_g = ql/2 = (3,5 \times 6,0)/2 = 10,5 \text{ kN}$$

$$T_{\max} = \psi \times T_g + \chi \times M_p = 1,10 \times T_g + 1,30 \times T_p$$

$$T_{\max} = \mathbf{331,9 \text{ kN}}$$

### 2.1.2

$$W_{pot} = \frac{M_{\max}}{\tau_{dop}} = \frac{407,3 \times 100}{16} = 2546 \text{ cm}^3$$

### IPE600

:

$h = 600 \text{ mm}$	$I_y = 92080 \text{ cm}^4$	$W_y = 3070 \text{ cm}^3$	$i_y = 24,3 \text{ cm}$
$b = 220 \text{ mm}$	$I_z = 3390 \text{ cm}^4$	$W_z = 308 \text{ cm}^3$	$i_z = 4,66 \text{ cm}$
$t_w = 12 \text{ mm}$		$S_y = 1760 \text{ cm}^3$	
$t_f = 19 \text{ mm}$			

### 2.1.3

1)

$$\tau = \frac{M_{\max}}{W_y} = \frac{407,3 \times 100}{3070} = 13,27 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{dop}$$

$$\tau = \frac{T_{odg} \times S_y}{I_y \times t_w} = \frac{130,0 \times 1760,0}{92080 \times 1,2} = 2,07 \frac{\text{kN}}{\text{cm}^2} < 9,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{dop}$$

2)

$$\tau_x = \frac{M_{\max} \times h_w}{I_y \times 2} = \frac{407,3 \times 100 \times 56,2}{92080 \times 2} = 12,43 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{dop}$$

$$\tau_{xz} = \frac{T_{\max} \times S_{y,0}}{I_y \times t_w}$$

$$S_{y,0} = t_f \times b_f \times \left( \frac{h_w + t_f}{2} \right) = 1,9 \times 22 \times \left( \frac{56,2 + 1,9}{2} \right)$$

$$S_{y,0} = 1241,3 \text{ cm}^3$$

$$\tau_{xz} = \frac{130 \times 1241,3}{92080 \times 1,2} = 1,43 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}$$

---

$$b_{eff} = 3,2 \times \sqrt[3]{\frac{I_{y,f}}{t_w}} \quad ( \quad )$$

$$49. \rightarrow I_{y,s} = 1819 \text{ cm}^4$$

$$I_{y,f} = I_{y,s} + \frac{b_f \times t_f^3}{12} = 1819 + \frac{22 \times 1,9^3}{12}$$

$$I_{y,f} = 1831,6 \text{ cm}^4$$

$$b_{eff} = 3,2 \times \sqrt[3]{\frac{1831,6}{1,2}} = 36,84 \text{ cm}$$

$$\tau_z = \frac{\{ \times P}{b_{eff} \times t_w} = \frac{1,30 \times 200}{36,84 \times 1,2} = 5,88 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}$$

$$\tau_{xz} = 0,2 \times \tau_z = 0,2 \times 5,88 = 1,18 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}$$

$$\tau_u = \sqrt{\tau_x^2 + \tau_z^2 - \tau_x \tau_z + 3 \times (\tau_{zx} + \tau_{xz})^2}$$

$$\tau_u = \sqrt{12,43^2 + 5,88^2 - 12,43 \times 5,88 + 3 \times (1,18 + 1,43)^2} = 1,68 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}$$

3)

---

$$\tau = \frac{T_{max} \times S_y}{I_y \times t_w} = \frac{331,9 \times 1760}{92080 \times 1,2} = 5,29 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}$$

2.1.4

---

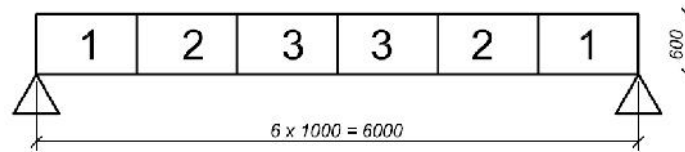
$$\max f = \frac{5,50 \times M \times l^2}{48 \times EI_y} = \frac{5,50 \times (Mg + Mp) \times l^2}{48 \times EI_y} = \frac{5,50 \times (300,00 + 15,75) \times 100 \times 600^2}{48 \times 21000 \times 92080} = 0,67 \text{ cm} < f_{dop}$$

2.1.5

---

( )

## 2.1.6



1

$$a = 1000 \text{ mm}$$

$$b = 562 \text{ mm} \quad \alpha = a/b = 1000/562 = 1,7794 > 1$$

$$T = 331,9 \text{ kN}$$

$$T^* = 1,50 \times T = 1,50 \times 331,9 = 498,0 \text{ kN}$$

$$k_{\dagger} = 5,34 + \frac{4,0}{r^2} = 5,34 + \frac{4,0}{1,7794^2} = 6,603$$

$$\dagger_E = \frac{f^2 \times E}{12(1-\nu^2)} \times \left(\frac{t_w}{b}\right)^2 = \frac{f^2 \times 21000}{12(1-0,3^2)} \times \left(\frac{1,2}{56,2}\right)^2 = 8,65 \frac{\text{kN}}{\text{cm}^2}$$

$$\dagger_{kr} = k_{\dagger} \times \dagger_E = 6,603 \times 8,65 = 57,14 \frac{\text{kN}}{\text{cm}^2}$$

$$\overline{p} = \sqrt{\frac{f_y}{\dagger_{kr} \times \sqrt{3}}} = \sqrt{\frac{24,0}{57,14 \times \sqrt{3}}} = 0,492 < 0,7$$

$$t_p = 1,0$$

$$\dagger_u = c_{\dagger} \times t_p \times \frac{f_y}{\sqrt{3}} \leq \frac{f_y}{\sqrt{3}}$$

$$\dagger_u = 1,25 \times 1,0 \times \frac{f_y}{\sqrt{3}} > \frac{f_y}{\sqrt{3}} \quad (c_{\tau} = 1,25)$$

:

$$\dagger_u = \frac{f_y}{\sqrt{3}} = \frac{24,0}{\sqrt{3}} = 13,86 \frac{\text{kN}}{\text{cm}^2}$$

$$\dagger^* = \frac{T^* \times S_y}{I_y \times t_w} = \frac{498,0 \times 1760}{92080 \times 1,2} = 7,93 \frac{\text{kN}}{\text{cm}^2} < \dagger_u$$

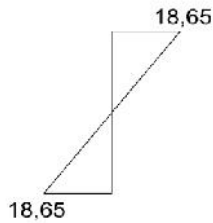
$$a = 1000 \text{ mm}$$

$$b = 562 \text{ mm} \quad \alpha = a/b = 1000/562 = 1,7794 > 1$$

$$T = 130,0 \text{ kN} \quad T^* = 1,50 \times T = 1,50 \times 130,0 = 195,0 \text{ kN}$$

$$= 407,3 \text{ kNm} \quad M^* = 1,50 \times M = 1,50 \times 407,3 = 611,0 \text{ kNm}$$

$$\tau^* = \frac{M^* \times b}{I_y \times 2} = \frac{611,0 \times 56,2}{92080 \times 2} = 18,65 \frac{\text{kN}}{\text{cm}^2}$$



$$\xi = -1$$

$$K_{\tau} = 23,9$$

$$\tau_E = \frac{f^2 \times E}{12(1 - \nu^2)} \times \left(\frac{t_w}{b}\right)^2 = \frac{f^2 \times 21000}{12(1 - 0,3^2)} \times \left(\frac{1,2}{56,2}\right)^2 = 8,65 \frac{\text{kN}}{\text{cm}^2}$$

$$\tau_{kr} = k_{\tau} \times \tau_E = 23,9 \times 8,65 = 206,81 \frac{\text{kN}}{\text{cm}^2}$$

$$\bar{p} = \sqrt{\frac{f_y}{\tau_{kr}}} = \sqrt{\frac{24,0}{206,81}} = 0,341 < 0,7$$

$$t_p = 1,0$$

$$k_{\tau} \times r^2 = 23,9 \times 1,7794^2 = 75,67 > 2$$

!

$$\bar{t}_u = (1 - f^2) \times t_p + f^2 \times t_c = 1$$

$$t_u = c_{\tau} \times \bar{t}_u \times f_y \leq f_y$$

$$c_{\tau} = 1,25 - 0,25 \times \xi \leq 1,25$$

$$c_{\tau} = 1,25 + 0,25 = 1,50 > 1,25$$

$$c_{\tau} = 1,25$$

$$t_u = 1,25 \times 1,0 \times f_y = 1,25 \times f_y > f_y = 24,0 \frac{\text{kN}}{\text{cm}^2}$$

$$t_u = f_y$$

$$\tau^* = 18,65 \frac{\text{kN}}{\text{cm}^2} < t_u$$

!

$$k_t = 5,34 + \frac{4,0}{r^2} = 5,34 + \frac{4,0}{1,7794^2} = 6,603$$

$$\dagger_{kr} = k_t \times \dagger_E = 6,603 \times 8,65 = 57,14 \frac{kN}{cm^2}$$

$$\bar{\rho} = \sqrt{\frac{f_y}{\dagger_{kr} \times \sqrt{3}}} = \sqrt{\frac{24,0}{57,14 \times \sqrt{3}}} = 0,492 < 0,7$$

$$t_p = 1,0$$

$$\dagger_u = 1,25 \times 1,0 \times \frac{f_y}{\sqrt{3}} > \frac{f_y}{\sqrt{3}}$$

\_\_\_\_\_ :

$$\dagger_u = \frac{f_y}{\sqrt{3}} = \frac{24,0}{\sqrt{3}} = 13,86 \frac{kN}{cm^2}$$

$$\dagger^* = \frac{T^* \times S_y}{I_y \times t_w} = \frac{195,0 \times 1760}{92080 \times 1,2} = 3,11 \frac{kN}{cm^2} < \dagger_u$$

$$\left(\frac{\dagger^*}{\dagger_u}\right)^2 + \left(\frac{\dagger^*}{\dagger_u}\right)^2 = \left(\frac{18,65}{24,00}\right)^2 + \left(\frac{3,11}{13,86}\right)^2 = 0,65 < 1,0$$

### 2.1.7

$$= 22,0 \times 0,8 + 14,4 \times 1,2 = 34,88 \text{ cm}^2$$

$$I = \frac{22^3 \times 0,8}{12} = 710 \text{ cm}^4$$

$$i = \sqrt{\frac{710}{34,88}} = 4,51 \text{ cm}$$

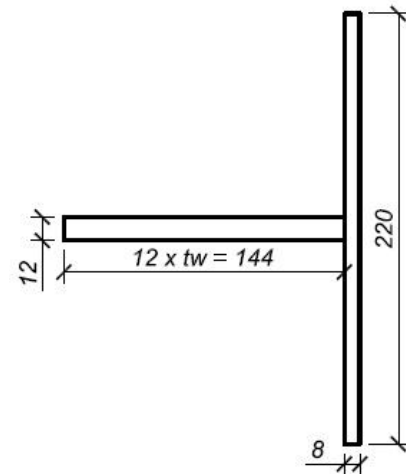
$$l_i = 0,75 \times b = 0,75 \times 56,2 = 42,15 \text{ cm}$$

$$\rho = \frac{l_i}{i} = \frac{42,15}{4,51} = 9,35$$

$$\bar{\rho}_v = \frac{\rho}{92,9} = \frac{9,35}{92,9} = 0,100 < 0,2$$

$$\chi = 1$$

$$\dagger_{i, dop} = \chi \times \sigma_{dop} = 16,0 \text{ kN/cm}^2$$



$$\tau = \frac{T_{\max}}{A} = \frac{331,9}{34,88} = 9,52 \frac{kN}{cm^2} < \tau_{i,dop} = 16,0 \frac{kN}{cm^2}$$

O

220 x 8 mm.

$$a_w = 4 \text{ mm} \quad l_w = 100 \times a_w = 100 \times 4,0 = 400 \text{ mm} < 562 \text{ mm} = h_w$$

$$V_{II} = \frac{R}{2 \times l_w \times a_w} = \frac{331,9}{2 \times 40 \times 0,4} = 10,37 \frac{kN}{cm^2} < \tau_{w,dop} = 12,0 \frac{kN}{cm^2}$$

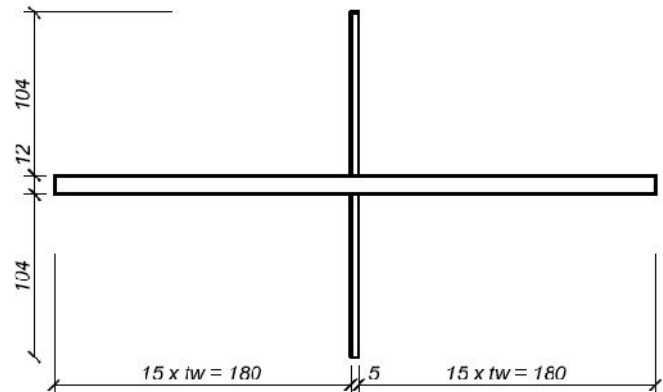
## 2.1.8

$$= 2 \times 10,4 \times 0,5 + 1,2 \times (2 \times 18 + 0,5)$$

$$= 54,2 \text{ cm}^2$$

$$I = \frac{22^3 \times 0,5}{12} + 2 \times \frac{1,2^3 \times 18}{12} = 448,9 \text{ cm}^4$$

$$l_i = 0,75 \times b = 0,75 \times 56,2 = 42,15 \text{ cm}$$



ISO/TC 167/SC1 N132

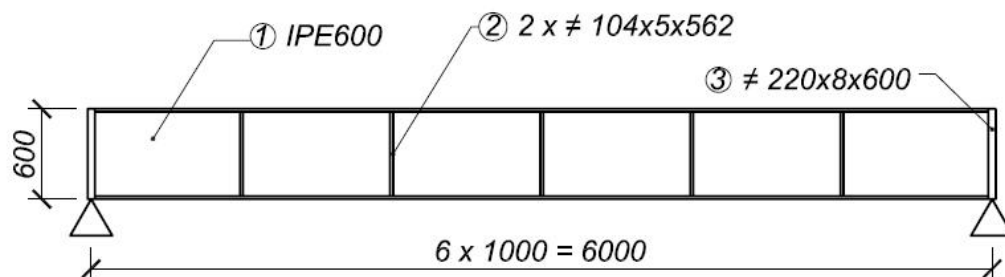
:

$$stv I > min I = 0,1 \times b t^3 \times k_t$$

$$\frac{h}{a} = \frac{562}{1000} < 1 \Rightarrow k_t = 20$$

$$min I = 0,1 \times 56,2 \times 1,2^3 \times 20 = 194,2 \text{ cm}^4$$

!



## 2.2 (POS P)

### 2.2.1

$$1. \quad g = g_{kp} + g_{kr} + g_{ks} + g_{gv} = (0,35 + 0,10 + 0,05 + 0,10) \\ g = \mathbf{0,60 \text{ kN/m}^2}$$

$$2. \quad s = \mathbf{1,00 \text{ kN/m}^2}$$

$$3. \quad -$$

$$q_{g,T,z} \times (C_{pe,min} - C_{pi,max}) = 0,44 \times (-0,5 + 0,2) = \mathbf{0,13 \text{ kN/m}^2}$$

$$\} = \mathbf{3,00 \text{ m.}}$$

$$g_{mer} = (g + s) \cdot l = (0,60 + 1,00) \cdot 3,00 = \mathbf{4,80 \text{ kN/m}}$$

### 2.2.2

$$l = \mathbf{5,50 \text{ m.}}$$

$$M_{y,max} = \frac{g_{mer} \times l^2}{8} = \frac{4,80 \times 5,50^2}{8} = \mathbf{18,15 \text{ kNm}}$$

$$R_{pk} = g_{mer} \times l/2 = 4,80 \times 5,50/2 = \mathbf{13,2 \text{ kN}}$$

### 2.2.3

**H 140**

$$\begin{array}{llll} = 31,4 \text{ cm}^2 & I_y = 1030 \text{ cm}^4 & W_y = 155 \text{ cm}^3 & i_y = 5,73 \text{ cm} \\ h = 133 \text{ mm} & I_z = 389 \text{ cm}^4 & W_z = 55,6 \text{ cm}^3 & i_z = 3,52 \text{ cm} \\ b = 140 \text{ mm} & I_t = 8,16 \text{ cm}^4 & S_y = 86,7 \text{ cm}^3 & \end{array}$$

$$t_w = 5,5 \text{ mm} \quad t_f = 8,5 \text{ mm}$$

$$\tau_{max} = \frac{M_{y,max}}{W_y} = \frac{18,15 \times 100}{155} = 11,71 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{dop}$$

$$\tau_{max} = \frac{T \times S_y}{I_y \times t_w} = \frac{13,20 \times 86,7}{1030 \times 0,55} = 2,02 \frac{\text{kN}}{\text{cm}^2} < 9,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{dop}$$



## 2.2.4

$$f_{\max} = \frac{5}{384} \times \frac{g_{\text{mer}} \times l^4}{EI_y} = \frac{5}{384} \times \frac{4,80 \times 10^{-2} \times 550^4}{21000 \times 1030} = 2,64 \text{ cm} < 2,75 \text{ cm} = \frac{550}{200} = f_{\text{dop}}$$

## 2.5.5

$$l_T = 550 \text{ cm}$$

$$l_z = 275 \text{ cm}$$

$$r_p = \frac{2 \times S_y}{W_y} = \frac{2 \times 86,7}{155} = 1,119$$

$$\tau_{DV} = \gamma_T \frac{f}{l_T \times W_y} \sqrt{G \times E \times I_z \times I_t} = 1,12 \frac{f}{550 \times 155} \sqrt{8100 \times 21000 \times 389 \times 8,16} = 30,33 \frac{\text{kN}}{\text{cm}^2}$$

$$A_f = b_f \times t_f = 14 \times 0,85 = 11,90 \text{ cm}^2$$

$$A_w = A - 2 \times A_f = 31,4 - 2 \times 11,9 = 7,60 \text{ cm}^2$$

$$i_{kz} = \frac{b_f}{\sqrt{12}} \sqrt{\frac{A_f}{A_f + A_w/6}} = \frac{14}{\sqrt{12}} \sqrt{\frac{11,9}{11,9 + 7,6/6}} = 3,84 \text{ cm}$$

$$\}_{kz} = \frac{l_z}{i_{kz} \sqrt{y_z}} = \frac{275}{3,84 \sqrt{1,12}} = 67,63$$

$$\tau_{DW} = \frac{f^2 \times E}{\}^2_{kz}} = \frac{f^2 \times 21000}{67,63^2} = 45,31 \frac{\text{kN}}{\text{cm}^2}$$

$$K = 1 + 0,156 \times \left(\frac{l_z}{h}\right)^2 \times \frac{I_t}{I_z} = 1 + 0,156 \times \left(\frac{275}{13,3}\right)^2 \times \frac{8,16}{389} = 2,399$$

$$\dots = 0,46$$

$$w = \frac{\sqrt{K^2 + \dots^2} - \dots}{\sqrt{K^2 + \dots^2}} = \frac{\sqrt{2,399^2 + 0,46^2} - 0,46}{\sqrt{2,399^2 + 0,46^2}} = 0,781$$

$$\tau_{cr} = w \sqrt{\tau_{DV}^2 + \tau_{DW}^2} = 0,781 \times \sqrt{30,33^2 + 45,31^2} = 42,58 \frac{\text{kN}}{\text{cm}^2}$$

$$\overline{\} }_D = \sqrt{\frac{r_p \times f_y}{\tau_{cr}}} = \sqrt{\frac{1,119 \times 24}{42,58}} = 0,794$$

$$t_D = \left( \frac{1}{1 + \overline{\} }_D^{2n}} \right)^{1/n} \quad (n = 2)$$

$$t_D = \left( \frac{1}{1 + 0,794^4} \right)^{1/2} = 0,846$$

$$\tau_D = r_p \times t_D \times f_y = 1,119 \times 0,846 \times 24,0 = 22,72 \frac{\text{kN}}{\text{cm}^2} > \tau_{\max} = 11,71 \frac{\text{kN}}{\text{cm}^2}$$

## 2.3 (POS FR2)

### 2.3.1

$$1. \quad g = g_{fo} + g_{fr} + g_{fs} = (0,35 + 0,10 + 0,05) \\ g = \mathbf{0,50 \text{ kN/m}^2}$$

$$2. \quad w = q_{g,T,z} \times (0,9 + 0,2) = 0,44 \times 1,1 \\ w = \mathbf{0,484 \text{ kN/m}^2}$$

$$\} = \mathbf{3,00 \text{ m.}}$$

$$g_{mer} = g \hat{l} \} = \mathbf{0,50 \hat{l} 3,00 = 1,50 \text{ kN/m}}$$

$$w_{mer} = w \hat{l} \} = \mathbf{0,484 \times 3,00 = 1,45 \text{ kN/m}}$$

### 2.3.2

$$l = \mathbf{5,50 \text{ m.}}$$

**y-y** :

$$M_y = \frac{w \times l^2}{8} = \frac{1,45 \times 5,50^2}{8} = \mathbf{5,48 \text{ kNm}}$$

**z-z** :

$$M_z = \frac{g \times l^2}{8} = \frac{1,50 \times 5,50^2}{8} = \mathbf{5,67 \text{ kNm}}$$

### 2.3.3

**HOP 120x120x4,5** :

$$I_y = I_z = \mathbf{454 \text{ cm}^4} \quad W_y = W_z = \mathbf{75,66 \text{ cm}^3}$$

$$\tau_{\max} = \frac{M_y}{W_y} + \frac{M_z}{W_z} = \frac{5,48 \times 100}{75,66} + \frac{5,67 \times 100}{75,66} = 14,74 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{dop}$$

### 2.3.4

$$f_y = \frac{5}{384} \times \frac{w \times l^4}{EI_y} = \frac{5}{384} \times \frac{1,45 \times 10^{-2} \times 550^4}{21000 \times 454} = \mathbf{1,81 \text{ cm}}$$

$$f_z = \frac{5}{384} \times \frac{g \times l^4}{EI_z} = \frac{5}{384} \times \frac{1,50 \times 10^{-2} \times 550^4}{21000 \times 454} = \mathbf{1,88 \text{ cm}}$$

$$\max f = \sqrt{f_y^2 + f_z^2} = \sqrt{1,81^2 + 1,88^2} = \mathbf{2,61 \text{ cm}} < 2,75 \text{ cm} = \frac{550}{200} = f_{dop}$$

## 2.4 (POS FR1)

### 2.4.1

$$1. \quad g = g_{fo} + g_{fr} + g_{fs} = (0,35 + 0,10 + 0,05) \\ g = \mathbf{0,50 \text{ kN/m}^2}$$

$$2. \quad w = q_{g,T,z} \times (0,9 + 0,2) = 0,44 \times 1,1 \\ w = \mathbf{0,484 \text{ kN/m}^2}$$

$$\} = \mathbf{3,00 \text{ m.}}$$

$$g_{mer} = g \hat{l} \} = \mathbf{0,50 \hat{l} 3,00 = 1,50 \text{ kN/m}}$$

$$w_{mer} = w \hat{l} \} = \mathbf{0,484 \hat{l} 3,00 = 1,45 \text{ kN/m}}$$

### 2.4.2

$$l = \mathbf{6,00 \text{ m.}}$$

**y-y** :

$$M_y = \frac{w \times l^2}{8} = \frac{1,45 \times 6,00^2}{8} = \mathbf{6,52 \text{ kNm}}$$

**z-z** :

$$M_z = \frac{g \times l^2}{8} = \frac{1,50 \times 6,00^2}{8} = \mathbf{6,75 \text{ kNm}}$$

### 2.4.3

**HOP 140x140x4** :

$$I_y = I_z = 661,5 \text{ cm}^4 \quad W_y = W_z = 94,51 \text{ cm}^3$$

$$\dagger_{\max} = \frac{M_y}{W_y} + \frac{M_z}{W_z} = \frac{6,52 \times 100}{94,51} + \frac{6,75 \times 100}{94,51} = 14,04 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2} = \dagger_{dop}$$

### 2.4.4

$$f_y = \frac{5}{384} \times \frac{w \times l^4}{EI_y} = \frac{5}{384} \times \frac{1,45 \times 10^{-2} \times 600^4}{21000 \times 661,5} = \mathbf{1,76 \text{ cm}}$$

$$f_z = \frac{5}{384} \times \frac{g \times l^4}{EI_z} = \frac{5}{384} \times \frac{1,50 \times 10^{-2} \times 600^4}{21000 \times 661,5} = \mathbf{1,82 \text{ cm}}$$

$$\max f = \sqrt{f_y^2 + f_z^2} = \sqrt{1,76^2 + 1,82^2} = \mathbf{2,53 \text{ cm}} < 3,00 \text{ cm} = \frac{600}{200} = f_{dop}$$

2.5

(POS FS)

11,20 m.

## 2.5.1 A

1.

$$g = g_{fo} + g_{fr} + g_{fs} = (0,35 + 0,10 + 0,05)$$

$$g = \mathbf{0,50 \text{ kN/m}^2}$$

$$R_{pk} = 2 \times 13,20$$

$$R_{pk} = \mathbf{26,40 \text{ kN}}$$

2.

$$w = q_{g,T,z} \times (0,9 + 0,2) = 0,44 \times 1,1$$

$$w = \mathbf{0,484 \text{ kN/m}^2}$$

$$\} = \mathbf{5,50 \text{ m.}}$$

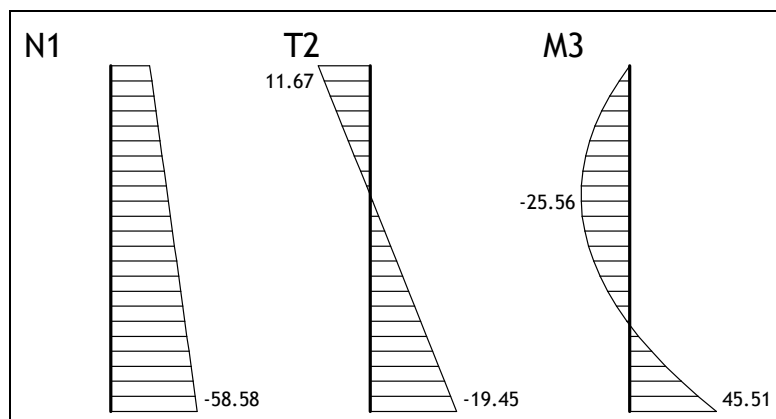
$$g_{mer} = g \cdot \} = \mathbf{0,50 \cdot 5,50 = 2,75 \text{ kN/m}}$$

$$w_{mer} = w \cdot \} = \mathbf{0,484 \times 5,50 = 2,66 \text{ kN/m}}$$

## 2.5.2

-0,50 m.  
+11,20).

11,70 m.



$$R_A = \mathbf{19,45 \text{ kN}}$$

$$M_A = \mathbf{45,41 \text{ kNm}}$$

$$R_B = \mathbf{11,67 \text{ kN}}$$

$$M_{max} = \mathbf{45,41 \text{ kNm}}$$

$$N_{max} = \mathbf{58,58 \text{ kN}}$$

## 2.5.3

**HEA200**

$$\begin{array}{llll}
 = 53,8 \text{ cm}^2 & I_y = 3690 \text{ cm}^4 & W_y = 389 \text{ cm}^3 & i_y = 8,28 \text{ cm} \\
 h = 190 \text{ mm} & I_z = 1340 \text{ cm}^4 & W_z = 134 \text{ cm}^3 & i_z = 4,98 \text{ cm} \\
 b = 200 \text{ mm} & I_t = 21,1 \text{ cm}^4 & S_y = 215 \text{ cm}^3 &
 \end{array}$$

$$t_w = 6,5 \text{ mm} \quad t_f = 10 \text{ mm}$$

$$l_{iy} = 0,707 \times l = 0,707 \times 1170 = 827 \text{ cm}$$

$$l_{iz} = 470 \text{ cm} \quad (4,20 \text{ m})$$

$$\bar{\lambda}_y = \frac{l_{iy}}{i_y} = \frac{827}{8,28} = 99,88 \Rightarrow \bar{\lambda}_y = \frac{\lambda_y}{\lambda_v} = \frac{99,88}{92,9} = 1,075$$

$$\bar{\lambda}_z = \frac{l_{iz}}{i_z} = \frac{470}{4,98} = 94,38 \Rightarrow \bar{\lambda}_z = \frac{\lambda_z}{\lambda_v} = \frac{94,38}{92,9} = 1,016$$

$$\tau_{\max} = \frac{N_{\max}}{A} + \frac{M_{\max}}{W_y} = \frac{58,58}{53,8} + \frac{45,41 \times 100}{389} = 12,76 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{\text{dop}}^I$$

3.2.1 **JUS U.E7.096** (

z-z )

:

$$k_{ny(z)} \times \tau_N + k_{my} \times \tau_M \leq \tau_{\text{dop}}$$

$$: \quad l_z = 470 \text{ cm}$$

$$: \quad l_T = 1170 \text{ cm}$$

$$r_y = 0,339 \text{ ( B)}$$

$$r_z = 0,489 \text{ ( C)}$$

$$\sigma_N = N_{\max}/A = 58,58/53,8 = 1,089 \text{ kN/cm}^2$$

$$\bar{\tau} = \frac{\tau_N}{\tau_{\text{dop}}} = \frac{1,089}{16,0} = 0,0680$$

$$k_{ny} = 1 + \frac{r_y \times (\bar{\lambda}_y - 0,2)}{1 - \bar{\lambda}_y^2 \times \bar{\tau}} = 1 + \frac{0,339 \times (1,075 - 0,2)}{1 - 1,075^2 \times 0,068} = 1,322$$

$$k_{nz} = 1 + \frac{r_z \times (\bar{\lambda}_z - 0,2)}{1 - \bar{\lambda}_z^2 \times \bar{\tau}} = 1 + \frac{0,489 \times (1,016 - 0,2)}{1 - 1,016^2 \times 0,0680} = 1,429$$

$$: \quad k_n = \max\{k_{ny}; k_{nz}\} = \max\{1,322; 1,429\} = 1,429$$

$$k_{my} = \frac{S_y}{1 - \lambda_y^2 \times \bar{\lambda}} = \frac{0,85}{1 - 1,075^2 \times 0,0680} = 0,922 < 1 \Rightarrow k_{my} = 1$$

$$\lambda_y = \frac{f_y}{\bar{\lambda}_D} = ?$$

:

$$r_p = \frac{2 \times S_y}{W_y} = \frac{2 \times 215}{389} = 1,105$$

$$\bar{\lambda}_{DV} = y_T \frac{f}{l_T \times W_y} \sqrt{G \times E \times I_z \times I_t} = 1,12 \frac{f}{1170 \times 389} \sqrt{8100 \times 21000 \times 1340 \times 21,1} = 16,95 \frac{kN}{cm^2}$$

$$A_f = b_f \times t_f = 20 \times 1,00 = 20,0 cm^2$$

$$A_w = A - 2 \times A_f = 53,8 - 2 \times 20 = 13,8 cm^2$$

$$i_{kz} = \frac{b_f}{\sqrt{12}} \sqrt{\frac{A_f}{A_f + A_w/6}} = \frac{20}{\sqrt{12}} \sqrt{\frac{20}{20 + 13,8/6}} = 5,47 cm$$

$$\lambda_{kz} = \frac{l_z}{i_{kz} \sqrt{y_z}} = \frac{470}{5,47 \sqrt{1,12}} = 81,18$$

$$\bar{\lambda}_{DW} = \frac{f^2 \times E}{\lambda_{kz}^2} = \frac{f^2 \times 21000}{81,18^2} = 31,45 \frac{kN}{cm^2}$$

$$K = 1 + 0,156 \times \left( \frac{l_z}{h} \right)^2 \times \frac{I_t}{I_z} = 1 + 0,156 \times \left( \frac{470}{19} \right)^2 \times \frac{21,1}{1340} = 2,503$$

$$\dots = 0,46$$

$$w = \frac{\sqrt{K^2 + \dots^2} - \dots}{\sqrt{K^2 + \dots^2}} = \frac{\sqrt{2,503^2 + 0,46^2} - 0,46}{\sqrt{2,503^2 + 0,46^2}} = 0,819$$

$$\bar{\lambda}_{cr} = w \sqrt{\bar{\lambda}_{DV}^2 + \bar{\lambda}_{DW}^2} = 0,819 \times \sqrt{16,95^2 + 31,45^2} = 29,26 \frac{kN}{cm^2}$$

$$\bar{\lambda}_D = \sqrt{\frac{r_p \times f_y}{\bar{\lambda}_{cr}}} = \sqrt{\frac{1,105 \times 24}{29,26}} = 0,952$$

$$t_D = \left( \frac{1}{1 + \bar{\lambda}_D^{2n}} \right)^{1/n} \quad (n = 2)$$

$$t_D = \left( \frac{1}{1 + 0,952^4} \right)^{1/2} = 0,741$$

$$\dagger_D = r_p \times t_D \times f_y = 1,105 \times 0,741 \times 24,0 = 19,65 \frac{kN}{cm^2}$$

$$n = \frac{f_y}{\dagger_D} = \frac{24}{19,65} = 1,221$$

JUS U.E7.096:

$$1,429 \times 1,089 + 1,0 \times 1,221 \times \frac{45,41 \times 100}{389} = 15,81 \frac{kN}{cm^2} < \dagger_{dop}$$

$$\ddagger = \frac{T_{\max} \times S_y}{I_y \times t_w} = \frac{19,45 \times 215}{3690 \times 0,65} = 1,74 \frac{kN}{cm^2} < \ddagger_{dop}$$

2.4.4

$$f_y = \frac{2}{369} \times \frac{w \times l^4}{EI_y} = \frac{2}{369} \times \frac{2,66 \times 10^{-2} \times 1170^4}{21000 \times 3690} = 3,49 cm < 5,85 cm = \frac{1170}{200} = f_{dop}$$

**2.6**

**(POS GS1, POS GS3)**

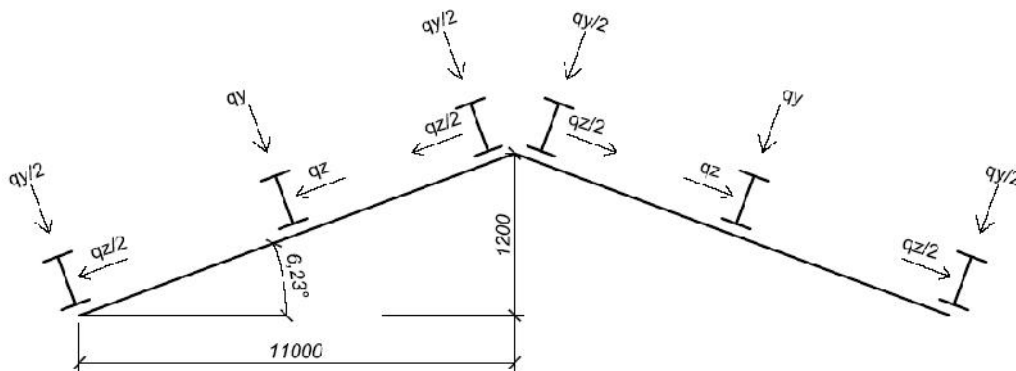
-0,50 m.

( , )

## 2.7

## (POS R)

$$9 \times 1 = 9 \times 6,0 = 54,0 \text{ m.}$$



## 2.7.1

1.

$$g = g_{kp} + g_{kr} + g_{ks} = (0,35 + 0,10 + 0,05)$$

$$g = 0,50 \text{ kN/m}^2$$

2.

$$s = 1,00 \text{ kN/m}^2$$

3. -

$$q_{g,T,z} \times (C_{pe,min} - C_{pi,max}) = 0,44 \times (-0,5 + 0,2) = -0,13 \text{ kN/m}^2$$

-

,

!

$$\} = 2,75 \text{ m.}$$

$$\} = 1,375 \text{ m.}$$

$$g_{mer} = (g + s) \hat{=} \} = (0,50 + 1,00) \hat{=} 2,75 = 4,12 \text{ kN/m}$$

## 2.7.2

)

:

$$q_y = q_{mer} \times \cos \Gamma = 4,12 \times 0,9941 = 4,10 \frac{\text{kN}}{\text{m}}$$

)

:

$$q_z = q_{mer} \times \sin \Gamma = 4,12 \times 0,1084 = 0,45 \frac{\text{kN}}{\text{m}}$$

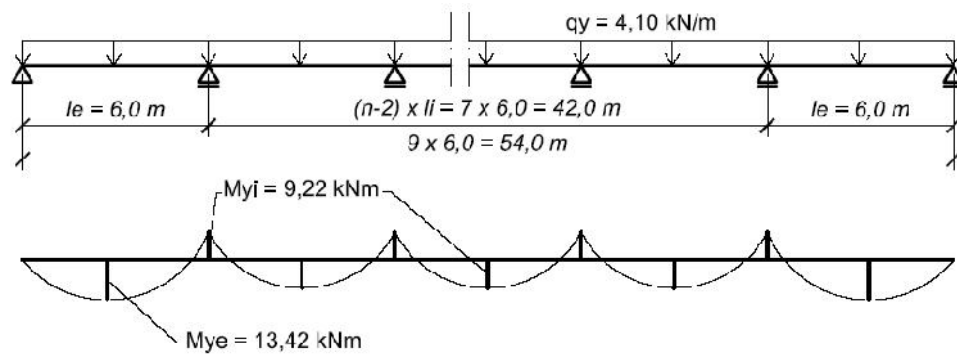
## 2.7.3

,

 $M_y$ 

:





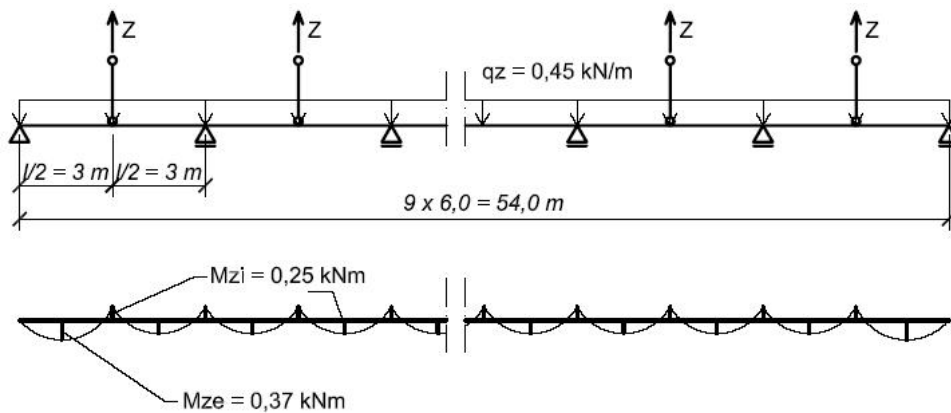
) :

$$M_{y,e} = \frac{q_y \times l^2}{11} = \frac{4,10 \times 6,0^2}{11} = 13,42 \text{ kNm}$$

) :

$$M_{y,i} = \pm \frac{q_y \times l^2}{16} = \pm \frac{4,10 \times 6,0^2}{16} = \pm 9,22 \text{ kNm}$$

$$\frac{l}{2} = \frac{6,0}{2} = 3,0 \text{ m}$$



) :

$$M_{z,e} = \frac{q_z \times l^2}{44} = \frac{0,45 \times 6,0^2}{44} = 0,37 \text{ kNm}$$

) :

$$M_{z,i} = \pm \frac{q_z \times l^2}{64} = \pm \frac{0,45 \times 6,0^2}{64} = \pm 0,25 \text{ kNm}$$

## 2.7.4

**IPE180**

:

$$\begin{array}{llll}
 = 23,9 \text{ cm}^2 & I_y = 1320 \text{ cm}^4 & W_y = 146 \text{ cm}^3 & i_y = 7,42 \text{ cm} \\
 h = 180 \text{ mm} & I_z = 101 \text{ cm}^4 & W_z = 22,2 \text{ cm}^3 & i_z = 2,05 \text{ cm} \\
 b = 91 \text{ mm} & I_t = 4,80 \text{ cm}^4 & S_y = 83,2 \text{ cm}^3 & 
 \end{array}$$

$$t_f = 8,0 \text{ mm}$$

$$\tau_{\max} = \frac{M_{y,e}}{W_y} + \frac{M_{z,e}}{W_z} = \frac{13,42 \times 100}{146} + \frac{0,37 \times 100}{22,2} = 10,86 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{dop}$$

## 2.7.5

)

$$= 1,33 \quad l_y = 600 \text{ cm} \quad l_z = 300 \text{ cm}$$

$$f_y = K \times \frac{q_y \times l_y^4}{I_y} = 1,33 \times \frac{4,10 \times 6,0^4}{1320} = 5,35 \text{ mm}$$

$$f_z = K \times \frac{q_z \times l_z^4}{I_z} = 1,33 \times \frac{0,45 \times 3,0^4}{101} = 0,48 \text{ mm}$$

$$f = \sqrt{f_y^2 + f_z^2} = \sqrt{5,35^2 + 0,48^2} = 5,37 \text{ mm} < 30 \text{ mm} = \frac{l}{200} = \frac{600}{200} = f_{dop}$$

)

$$= 3,04 \quad l_y = 600 \text{ cm} \quad l_z = 300 \text{ cm}$$

$$f_y = K \times \frac{q_y \times l_y^4}{I_y} = 3,04 \times \frac{4,10 \times 6,0^4}{1320} = 12,24 \text{ mm}$$

$$f_z = K \times \frac{q_z \times l_z^4}{I_z} = 3,04 \times \frac{0,45 \times 3,0^4}{101} = 1,10 \text{ mm}$$

$$f = \sqrt{f_y^2 + f_z^2} = \sqrt{12,24^2 + 1,10^2} = 12,29 \text{ mm} < 30 \text{ mm} = \frac{l}{200} = \frac{600}{200} = f_{dop}$$

## 2.7.6

:

$$\begin{array}{ll}
 l_{iy} = 600 \text{ cm} & l_z = 300 \text{ cm} \\
 l_{iz} = 300 \text{ cm} & l_T = 600 \text{ cm}
 \end{array}$$

$$\lambda_y = \frac{l_{iy}}{i_y} = \frac{600}{7,42} = 80,86 \rightarrow \bar{\lambda}_y = \frac{80,86}{92,9} = 0,870$$

$$\lambda_z = \frac{l_{iz}}{i_z} = \frac{300}{2,05} = 146,34 \rightarrow \bar{\lambda}_z = \frac{146,34}{92,9} = 1,575$$

$$A_f = b_f \times t_f = 9,1 \times 0,8 = 7,28 \text{ cm}^2$$

$$A_w = A - 2 \times A_f = 23,9 - 2 \times 7,28 = 9,34 \text{ cm}^2$$

$$i_{kz} = \frac{b_f}{\sqrt{12}} \sqrt{\frac{A_f}{A_f + A_w/6}} = \frac{9,1}{\sqrt{12}} \sqrt{\frac{7,28}{7,28 + 9,34/6}} = 2,38 \text{ cm}$$

$$\} _{kz} = \frac{l_z}{i_{kz} \sqrt{y_z}} = \frac{300}{2,38 \sqrt{1,12}} = 118,89$$

$$\dagger_{DV} = y_T \frac{f}{l_T \times W_y} \sqrt{G \times E \times I_z \times I_t} = 1,12 \frac{f}{600 \times 146} \sqrt{8100 \times 21000 \times 101 \times 4,80} = 11,53 \frac{\text{kN}}{\text{cm}^2}$$

$$\dagger_{DW} = \frac{f^2 \times E}{\} _{kz}^2} = \frac{f^2 \times 21000}{118,89^2} = 14,66 \frac{\text{kN}}{\text{cm}^2}$$

$$K = 1 + 0,156 \times \left( \frac{l_z}{h} \right)^2 \times \frac{I_t}{I_z} = 1 + 0,156 \times \left( \frac{300}{18} \right)^2 \times \frac{4,8}{101} = 3,060$$

$$\dots = 0,46$$

$$W = \frac{\sqrt{K^2 + \dots^2} - \dots}{\sqrt{K^2 + \dots^2}} = \frac{\sqrt{3,060^2 + 0,46^2} - 0,46}{\sqrt{3,060^2 + 0,46^2}} = 0,851$$

$$\dagger_{cr} = W \sqrt{\dagger_{DV}^2 + \dagger_{DW}^2} = 0,851 \times \sqrt{11,53^2 + 14,66^2} = 15,87 \frac{\text{kN}}{\text{cm}^2}$$

$$r_p = \frac{2 \times S_y}{W_y} = \frac{2 \times 83,2}{146} = 1,140$$

$$\} _D = \sqrt{\frac{r_p \times f_y}{\dagger_{cr}}} = \sqrt{\frac{1,140 \times 24}{15,87}} = 1,313$$

$$t_D = \left( \frac{1}{1 + \} _D^{2n}} \right)^{1/n} \quad (n = 2)$$

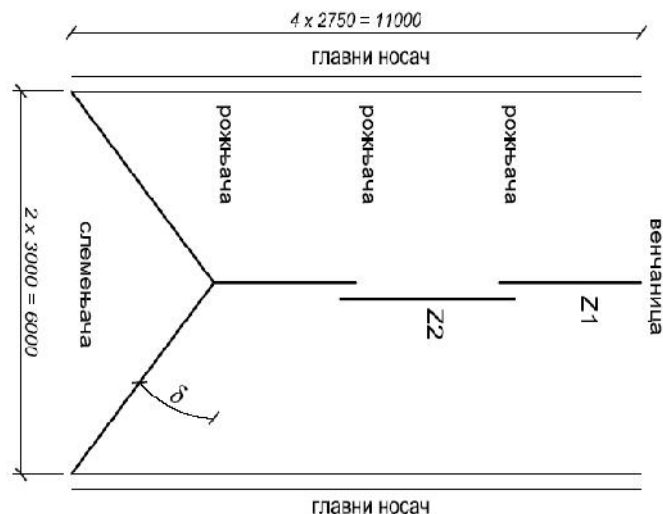
$$t_D = \left( \frac{1}{1 + 1,313^4} \right)^{1/2} = 0,502$$

$$\dagger_D = r_p \times t_D \times f_y = 1,140 \times 0,502 \times 24,0 = 13,73 \frac{\text{kN}}{\text{cm}^2}$$

$$\dagger_{\max} = \frac{M_{y,e}}{W_y} + \frac{M_{z,e}}{W_z} = \frac{13,42 \times 100}{146} + \frac{0,37 \times 100}{22,2} = 10,86 \frac{\text{kN}}{\text{cm}^2} < 13,73 \frac{\text{kN}}{\text{cm}^2} = \dagger_D$$

$$u = \frac{f_y}{\dagger_D} = \frac{24,0}{13,73} = 1,748$$

## 2.7.7



$$\operatorname{tg} u = \frac{\frac{275}{2}}{300} = 0,917 \Rightarrow \sin u = 0,6757$$

$$Z_1 = 1,25 \times q_z \times l/2 = 1,25 \times 0,45 \times 3,0$$

$$Z_1 = 1,69 \text{ kN}$$

$$Z_n = \frac{Z_1}{2} \times \frac{1}{\sin u} = \frac{1,69}{2 \times 0,6757} = 1,25 \text{ kN}$$

$$Z_1 \leq A_s \times \tau_{z,dop}$$

$$A_s = \quad \rightarrow \quad s \approx (0,89)^2 \times \pi/4$$

$$\sigma_{z,dop} = 11 \text{ kN/cm}^2$$

$$(0,89)^2 \frac{f}{4} \geq \frac{Z_1}{\tau_{z,dop}} = 0,1536 \text{ cm}^2$$

$$d \geq \frac{1}{0,89} \sqrt{\frac{4}{f} \times 0,1536} \Rightarrow d \geq 0,50 \text{ cm}$$

≥ 10 mm

l = 6,0 m.

## 2.7.8

0,15 – 0,20 l.

$$M_{y,nast} = \frac{q_y \times l_i^2}{32} = \frac{4,10 \times 6,0^2}{32} = 4,61 \text{ kNm}$$

$$M_{z,nast} = \frac{q_z \times l_i^2}{128} = \frac{0,45 \times 6,0^2}{128} = 0,13 \text{ kNm} \rightarrow$$

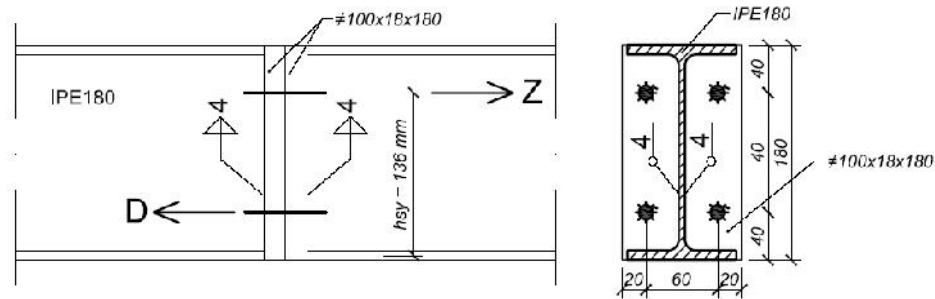
1211,

h<sub>sy</sub> = 136mm - 10.9 Fp • 0.

D

IPE180,

Z



$$h_{sy} = 180,0 - 40,0 - 8,0/2 = 140,0 - 4,0 = 136 \text{ mm}$$

$$Z_{(M_y)} = -D = \frac{M_{y,nast}}{h_{s,y}} = \frac{4,61}{0,136} = 33,90 \text{ kN}$$

$$: \quad t \sim 1,5 d = 1,5 \times 1,2 = 18 \text{ mm}$$

$$4 \quad 12 \hat{1} \dots 10.9 \quad F_p \cdot 0 \quad ( \quad )$$

12 :

$$Z_1 = \frac{Z}{2} = \frac{33,90}{2} = 16,95 \text{ kN} < 30,2 \text{ kN} = 0,84 \times 36 = A_s \times t_{t,dop} = F_t$$

### 2.7.9

)

$$\min q \downarrow = g_{kp} + g_{kr} = 0,35 + 0,10 = 0,45 \text{ kN/m}^2$$

)

$$\max w \uparrow = q_{g,T,z} \times (C_{pe,min} - C_{pi,max}) = 0,44 \times (0,6 + 0,2) = 0,35 \text{ kN/m}^2$$

!

### 2.7

(POS R1)

(h = 1,0 m).

, . l = 6,0 m.

## 2.7.1

$$1. \quad g = g_{kp} + g_{kr} + g_{ks} = (0,35 + 0,10 + 0,05) \\ g = 0,50 \text{ kN/m}^2$$

$$2. \quad s = 1,00 \text{ kN/m}^2$$

3. -

$$q_{g,T,z} \times (C_{pe,min} - C_{pi,max}) = 0,44 \times (-0,5 + 0,2) = -0,13 \text{ kN/m}^2$$

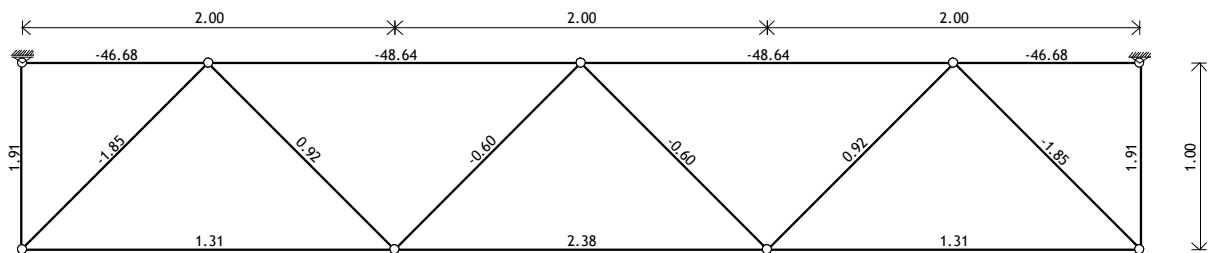
- , , !

$$4. \quad R = 2 \hat{=} 23,34 = 46,68 \text{ kN}$$

$$\} = 2,75 \text{ m.}$$

$$g_{mer} = (g + s) \hat{=} \} = (0,50 + 1,00) \hat{=} 2,75 = 4,12 \text{ kN/m}$$

## 2.7.3



POS R)

IPE180 (

$$(\lambda_{max} = 250).$$

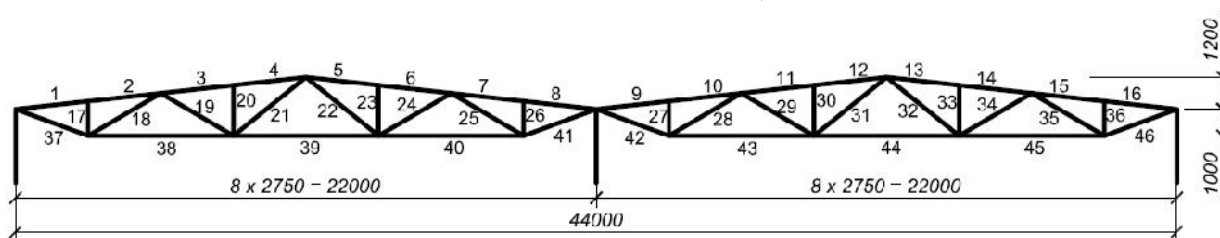
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## 3.

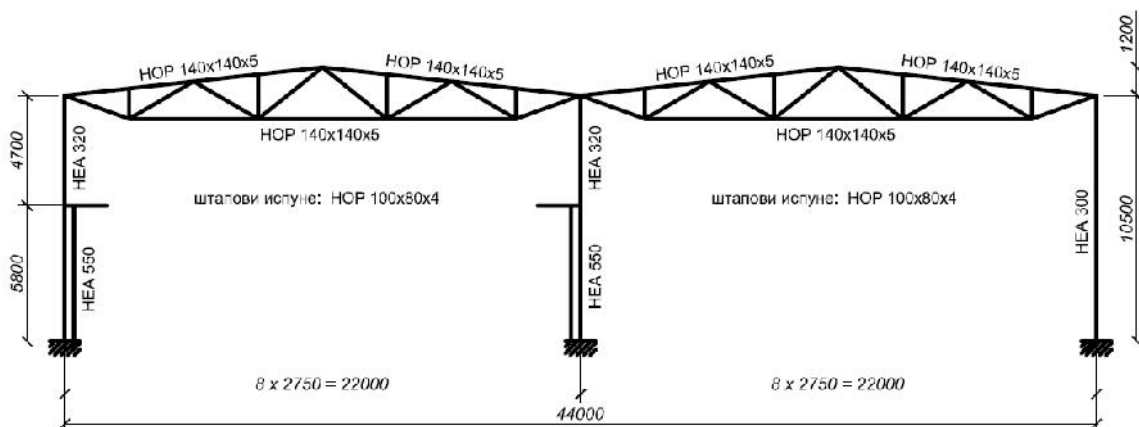
## 3.1

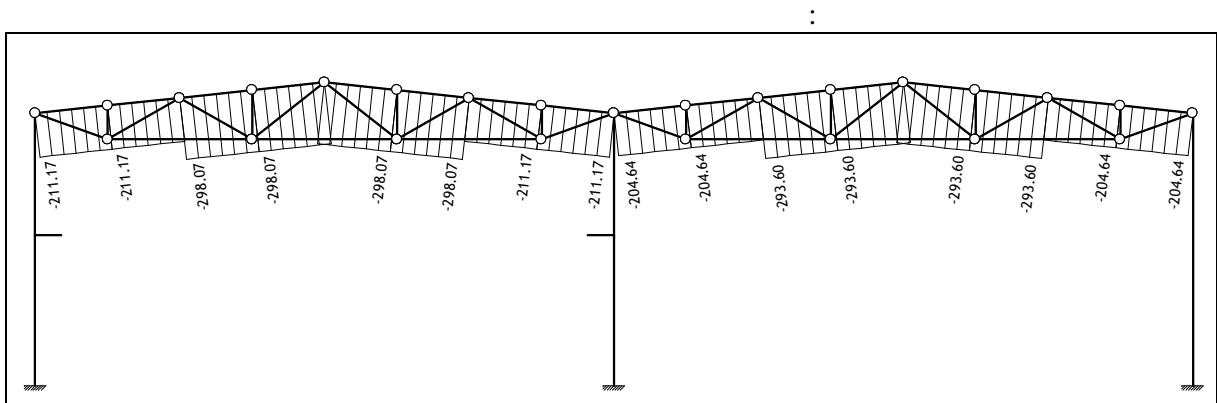
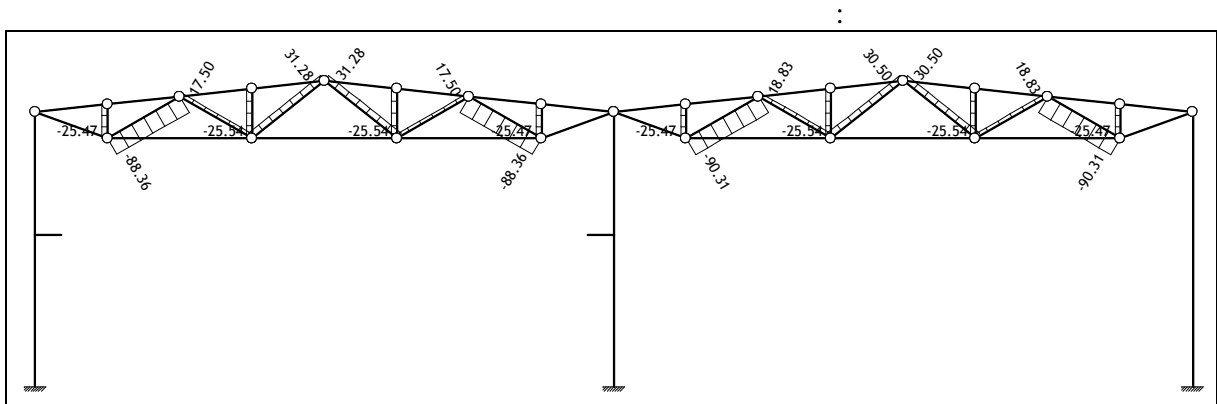
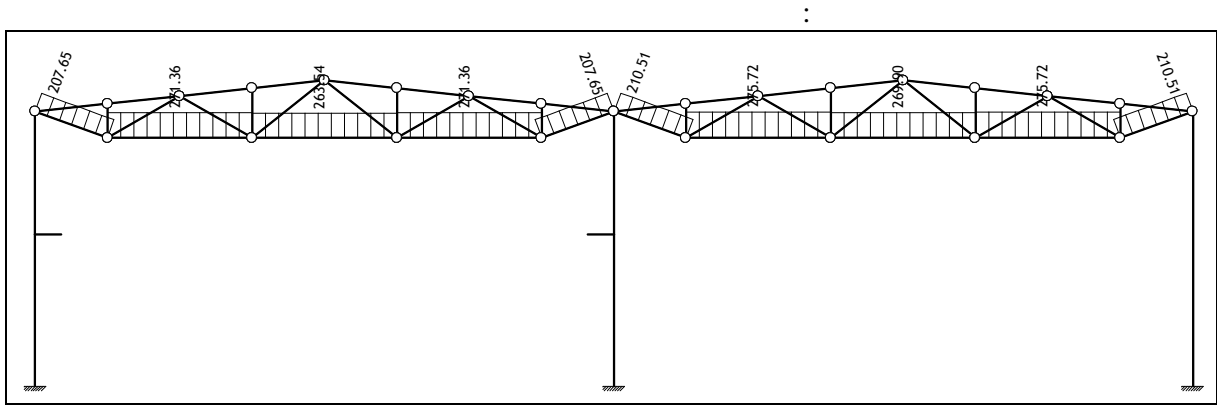
## 3.1.1

## 3.1.2



TOWER 6.





3.1.3

3, 4, 5, 6

$$N_{\min} = 298,07 \text{ kN} \quad ( \quad + \quad + \quad ) -$$

$$: \quad l_{iy} = l_{iz} = 276 \text{ cm}$$

**HOP 140x140x5**

:

$$i_y = i_z = 5,50 \text{ cm}$$

$$A = 26,67 \text{ cm}^2$$



$$\bar{\lambda} = \frac{l_i}{i} = \frac{276}{5,50} = 50,2 \Rightarrow \bar{\lambda} = \frac{\lambda}{\lambda_v} = \frac{50,2}{92,9} = 0,540$$

$$\alpha = 0,489 \quad (\text{C})$$

$$s = 1 + r(\bar{\lambda} - 0,2) + \bar{\lambda}^2 = 1 + 0,489(0,54 - 0,2) + 0,54^2 = 1,458$$

$$t = \frac{2}{s + \sqrt{s^2 - 4\bar{\lambda}^2}} = \frac{2}{1,458 + \sqrt{1,458^2 - 4 \times 0,54^2}} = 0,821$$

$$\dagger_{i,dop} = t \times \dagger_{dop} = 0,821 \times 16 = 13,13 \frac{kN}{cm^2}$$

\_\_\_\_\_ :

$$\dagger = \frac{N_{\min}}{A} = \frac{298,07}{26,67} = 11,18 \frac{kN}{cm^2} < 13,13 \frac{kN}{cm^2} = \dagger_{i,dop}$$

### 3.1.4

43, 45

$$N_{\max} = 275,72 \text{ kN} \quad ( \quad + \quad ) -$$

300.

$$\begin{aligned} & : & : & l_{iy,\max} = 550 \text{ cm} \\ & & & : l_{iz} = 1100 \text{ cm} \end{aligned}$$

**HOP 120x120x4** :

$$i_y = i_z = 4,72 \text{ cm} \quad A = 18,35 \text{ cm}^2$$

$$\lambda_{\max} = \frac{l_{iz}}{i} = \frac{1100}{4,72} = 233,1 < 300$$

\_\_\_\_\_ :

$$\dagger_{\max} = \frac{N_{\max}}{A} = \frac{275,72}{18,35} = 15,03 \frac{kN}{cm^2} < 16,0 \frac{kN}{cm^2} = \dagger_{dop}$$

## 3.1.5

1) 37, 41, 42, 46

$$, N_{\max} = 210,51 \text{ kN ( + + )}$$

$$: l_{iy} = l_{iz} = 293 \text{ cm}$$

**HOP 100x80x4** :

$$i_{\min} = i_y = 3,17 \text{ cm} \quad A = 13,35 \text{ cm}^2$$

$$\lambda_{\max} = \frac{l_i}{i_{\min}} = \frac{293}{3,17} = 92,4 < 300$$

\_\_\_\_\_ :

$$\tau_{\max} = \frac{N_{\max}}{A} = \frac{210,51}{13,35} = 15,77 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{dop}$$

2) 18, 25, 28, 35

$$, N_{\min} = 90,31 \text{ kN ( + )}$$

$$: l_{iy} = l_{iz} = 318 \text{ cm}$$

**HOP 100x80x4** :

$$i_{\min} = i_y = 3,17 \text{ cm} \quad A = 13,35 \text{ cm}^2$$

$$\lambda_{\max} = \frac{l_i}{i_{\min}} = \frac{318}{3,17} = 100,32 \Rightarrow \bar{\lambda} = \frac{\lambda_{\max}}{\lambda_v} = \frac{100,32}{92,9} = 1,080$$

$$\alpha = 0,489 \text{ ( C )}$$

$$s = 1 + r(\bar{\lambda} - 0,2) + \bar{\lambda}^2 = 1 + 0,489(1,080 - 0,2) + 1,080^2 = 2,597$$

$$t = \frac{2}{s + \sqrt{s^2 - 4\bar{\lambda}^2}} = \frac{2}{2,597 + \sqrt{2,597^2 - 4 \times 1,080^2}} = 0,495$$

$$\tau_{i,dop} = t \times \tau_{dop} = 0,495 \times 16 = 7,92 \frac{\text{kN}}{\text{cm}^2}$$

\_\_\_\_\_ :

$$\tau_{\max} = \frac{N_{\min}}{A} = \frac{90,31}{13,35} = 6,76 \frac{\text{kN}}{\text{cm}^2} < 7,92 \frac{\text{kN}}{\text{cm}^2} = \tau_{i,dop}$$

3) 17, 20, 23, 26, 27, 30, 33, 36 ( )

$$, N_{\min} = 25,54 \text{ kN ( + )}$$

$$: l_{iy,max} = l_{iz,max} = 190 \text{ cm}$$

**HOP 80x60x3** :

$$i_{\min} = i_y = 2,37 \text{ cm} \quad A = 7,81 \text{ cm}^2$$

$$\bar{\lambda}_{\max} = \frac{l_i}{i_{\min}} = \frac{190}{2,37} = 80,17 \Rightarrow \bar{\lambda} = \frac{\lambda_{\max}}{\lambda_v} = \frac{80,17}{92,9} = 0,863$$

$$\alpha = 0,489 \quad (\text{C})$$

$$s = 1 + r(\bar{\lambda} - 0,2) + \bar{\lambda}^2 = 1 + 0,489(0,863 - 0,2) + 0,863^2 = 2,069$$

$$t = \frac{2}{s + \sqrt{s^2 - 4\bar{\lambda}^2}} = \frac{2}{2,069 + \sqrt{2,069^2 - 4 \times 0,863^2}} = 0,623$$

$$\dagger_{i,dop} = t \times \dagger_{dop} = 0,623 \times 16 = 9,97 \frac{\text{kN}}{\text{cm}^2}$$

\_\_\_\_\_ :

$$\dagger_{\max} = \frac{N_{\min}}{A} = \frac{25,54}{7,81} = 3,27 \frac{\text{kN}}{\text{cm}^2} < 9,97 \frac{\text{kN}}{\text{cm}^2} = \dagger_{i,dop}$$

4) 19, 21, 22, 24, 29, 31, 32, 34

$$, N_{\max} = 31,28 \text{ kN} \quad (+ \quad )$$

$$: l_{iy} = l_{iz} = 352 \text{ cm}$$

**HOP 80x60x3** :

$$i_{\min} = i_y = 2,37 \text{ cm} \quad A = 7,81 \text{ cm}^2$$

$$\bar{\lambda}_{\max} = \frac{l_i}{i_{\min}} = \frac{352}{2,37} = 148,5 < 300$$

\_\_\_\_\_ :

$$\dagger_{\max} = \frac{N_{\max}}{A} = \frac{31,28}{7,81} = 4,01 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2} = \dagger_{dop}$$

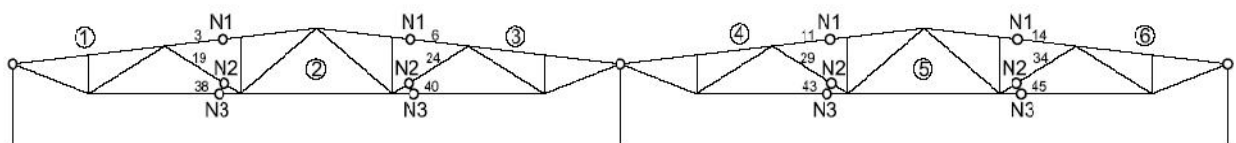
### 3.1.6

6

**10.9**

**(F<sub>p</sub> • 0).**

( ): ):



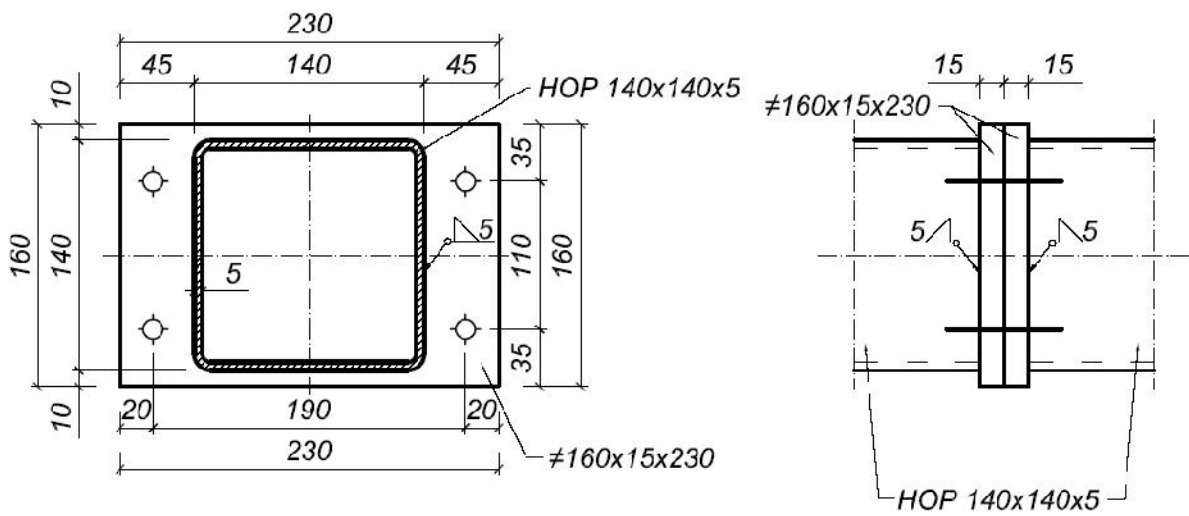
1) (N1) – 3, 6, 11 14

$N_{min} = 298,07 \text{ kN}$  ( + + ).

$d_{pl} = 15 \text{ mm}$   
 $N_{min}$

4 12...10.9 ( $F_p \cdot 0$ ),

Ø 160 15 230.



Ø M12...10.9 ( $F_p=0$ )

5mm,

$F_w = a_w \times l_w \times \sigma_{w,dop} = 0,5 \times (4 \times 14,0) \times 12,0 = 336,0 \text{ kN} > 298,07 \text{ kN} = N_{min}$

2) (N2) – 21 32

$N_{max} = 18,83 \text{ kN}$  ( + )

12...10.9 ( $F_p \cdot 0$ )  
 7.2.2 JUS U.E7.140

$$F_{t,dop} = \sigma_{t,dop} \times A_s = 36,0 \times 0,843 = 30,35 \text{ kN}$$

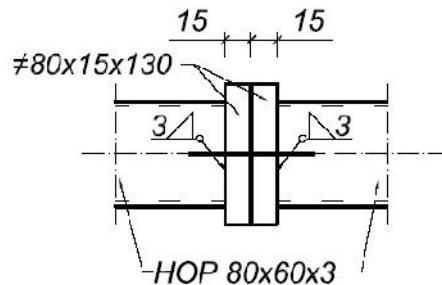
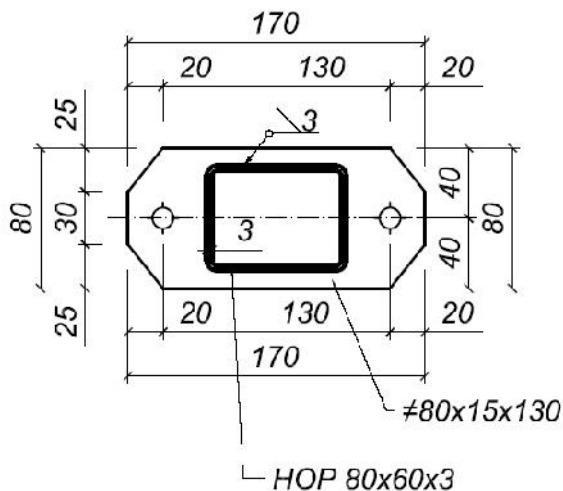
:

$$n = \frac{N_{max}}{F_{t,dop}} = \frac{18,83}{30,35} = 0,62$$

2 12...10.9 (F<sub>p</sub>•0).

$$d_{pl} = 1,5d = 1,5 \cdot 12,0 = 18\text{mm.}$$

:



⊙ M12... 10.9 (F<sub>p</sub>=0)

\_\_\_\_\_ :

3mm,

:

$$F_w = a_w \times l_w \times \sigma_{w,dop} = 0,3 \times 2 \times (8,0 + 6,0) \times 12,0 = 100,8 \text{ kN} > 18,83 \text{ kN} = N_{max}$$

\_\_\_\_\_ :

$$\max \uparrow_{pl} = \frac{0,5 \times N_{max} \times e}{W} = \frac{0,5 \times 18,83 \times 2,5 \times 6}{8,0 \times 1,5^2} = 7,85 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2}$$

3) (N3) – 38, 40, 43 45

.

:

$$N_{max} = 275,72 \text{ kN} ( \quad + \quad )$$

,

.

16...10.9 (F<sub>p</sub>•0)

(

)

7.2.2

JUS U.E7.140

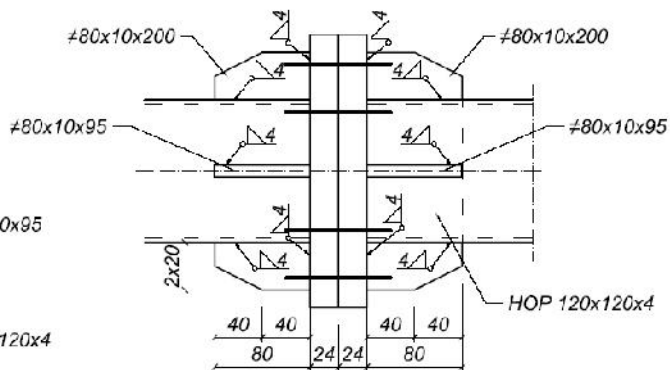
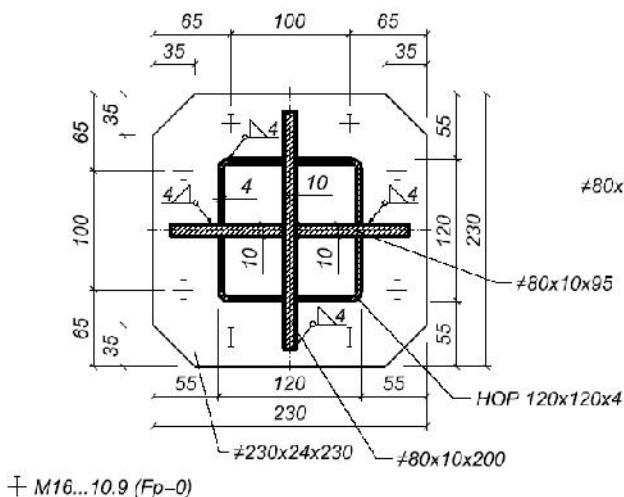
:

$$F_{t,dop} = \sigma_{t,dop} \times A_s = 36,0 \times 1,57 = 56,52 \text{ kN}$$

$$n = \frac{N_{\max}}{F_{1,dop}} = \frac{275,72}{56,52} = 4,87$$

8 16...10.9 (F<sub>p</sub>•0).

$$d_{pl} = 1,5d = 1,5 \cdot 16,0 = 24\text{mm}.$$



HOP120x120x4

(a<sub>w</sub> = 4mm):

$$F_w = a_w \times l_w \times \sigma_{w,dop} = 0,4 \times (4 \times 12,0 - 4 \times 1,0) \times 12,0 = 211,2 \text{ kN} < 275,72 \text{ kN} = N_{\max}$$

$$UN = 275,72 - 211,2 = 64,52 \text{ kN}$$

( 4mm).

$$a_{ukr} = 3,5 \times 1,0 = 3,5 \text{ cm}^2$$

$$N_{ukr} = \Delta N / 4 = 64,52 / 4 = 16,13 \text{ kN}$$

$$\max \tau_{ukr} = \frac{N_{ukr}}{A_{ukr}} = \frac{16,13}{3,5} = 4,61 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2}$$

$$\max \tau_w = n = \frac{N_{ukr}}{A_w} = \frac{16,13}{2 \times 0,4 \times 3,5} = 5,76 \frac{\text{kN}}{\text{cm}^2} < 12,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{w,dop}$$

$$a_{ukr} = 7,5 \times 1,0 = 7,5 \text{ cm}^2$$

$$W_{ukr} = \frac{7,5^2 \times 1,0}{6} = 9,38 \text{ cm}^3$$

$$T_{ukr} = \Delta N \times e = 16,13 \times 3,5 = 56,46 \text{ kNcm}$$

$$\dagger_{ukr} = \frac{56,46}{9,38} = 6,02 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2}$$

$$\ddagger_{ukr} = \frac{16,13}{7,5} = 2,15 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2}$$

$$\ddagger_{u,ukr} = \sqrt{6,02^2 + 2,15^2} = 6,39 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2}$$

$$A_w = 2 \times 0,4 \times 7,5 = 6,0 \text{ cm}^2$$

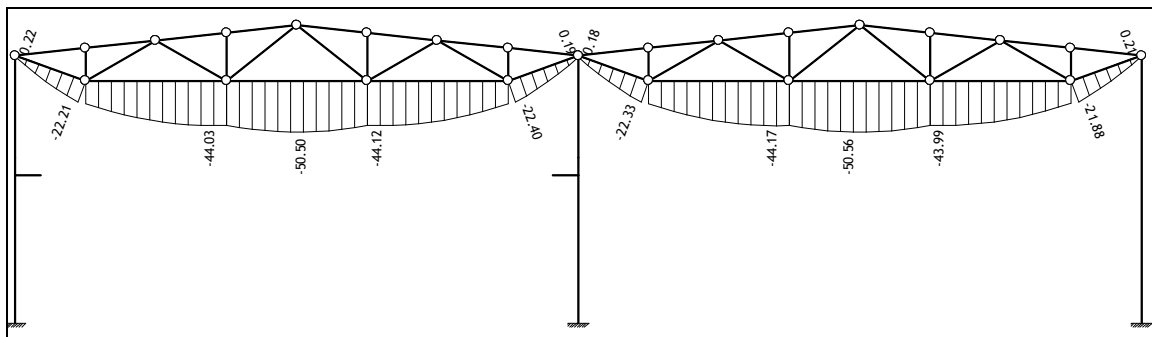
$$W_w = \frac{2 \times 0,4 \times 7,5^2}{6} = 7,50 \text{ cm}^3$$

$$n = \frac{56,46}{7,50} = 7,53 \frac{\text{kN}}{\text{cm}^2}$$

$$V_{II} = \frac{16,13}{6,0} = 2,69 \frac{\text{kN}}{\text{cm}^2}$$

$$\ddagger_{u,w} = \sqrt{7,53^2 + 2,69^2} = 8,00 \frac{\text{kN}}{\text{cm}^2} < 12,0 \frac{\text{kN}}{\text{cm}^2} = \ddagger_{w,dop}$$

### 3.1.7



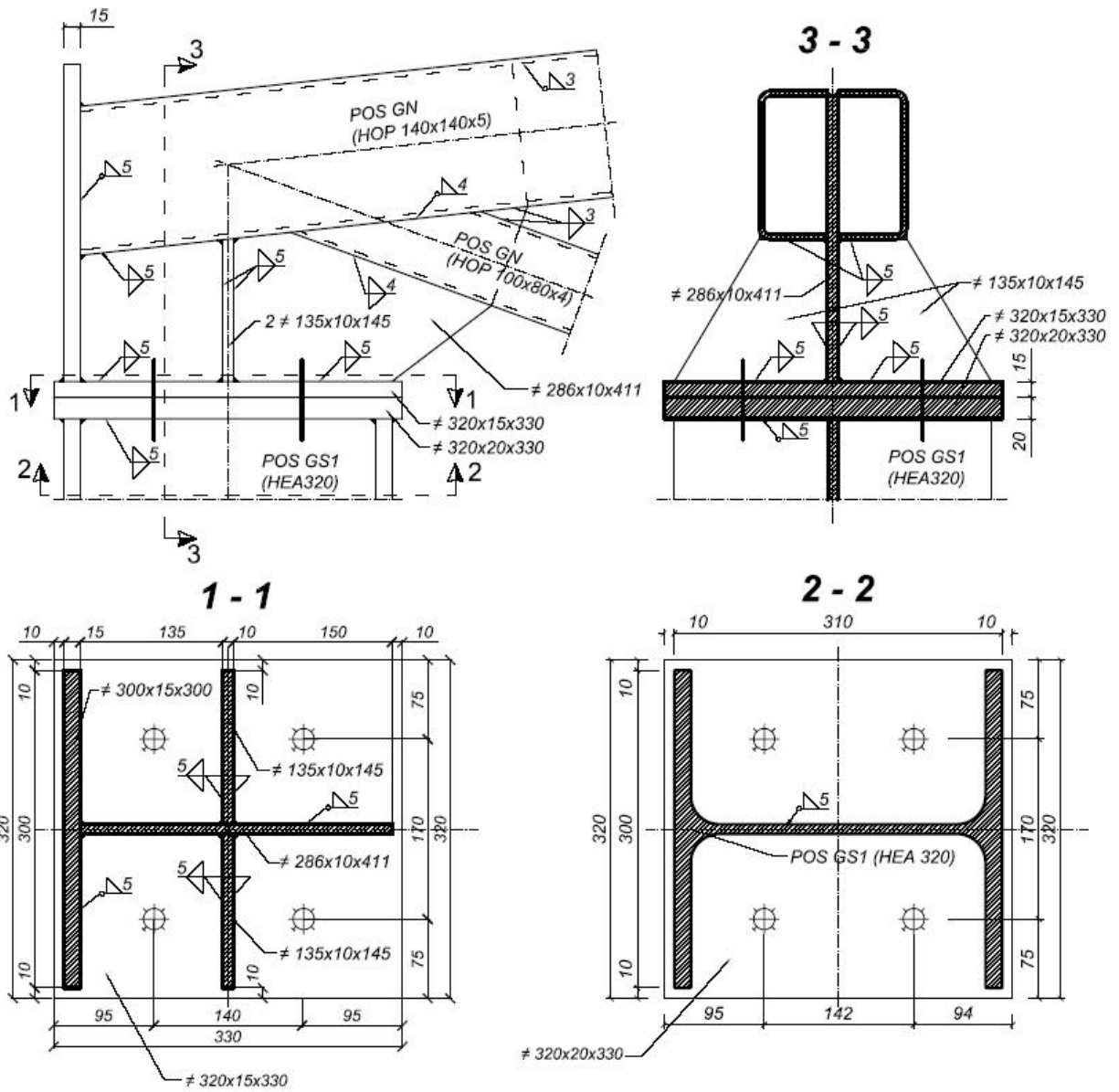
:

$$f_{\max} = 50,56 \text{ mm} < 73,33 \text{ mm} = L/300 = 22000/300 = f_{dop}$$

(

).

3.1.8 a



1)

- :  $R_v = 103,80 \text{ kN}$  ( + )  
 - :  $R_h = 31,40 \text{ kN}$

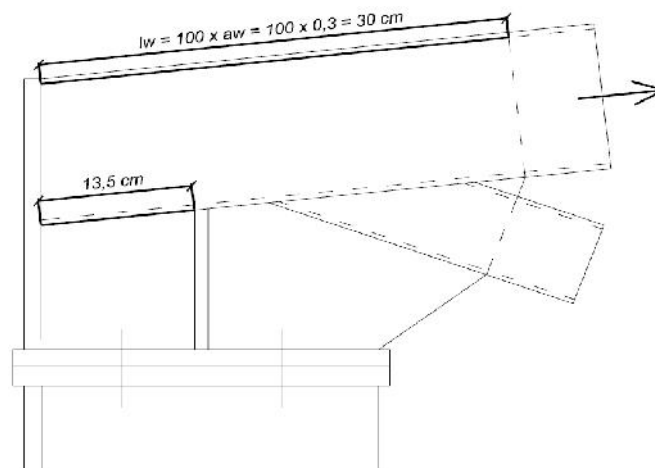
$R_v$   $R_h$



2)

$$N_{\min} = 211,17 \text{ kN} \quad (1)$$

3 mm, 5 mm,



$$l_{w1} = 2 \times 30,0 = 60,0 \text{ cm}$$

$$a_{w1} = 0,3 \text{ cm}$$

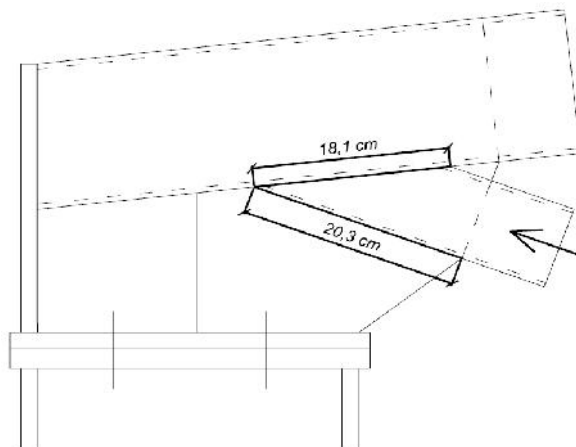
$$l_{w2} = 2 \times 13,5 = 27,0 \text{ cm}$$

$$a_{w2} = 0,5 \text{ cm}$$

$$A_w = a_{w1} \times l_{w1} + a_{w2} \times l_{w2} = 0,3 \times 60,0 + 0,5 \times 27,0 = 31,5 \text{ cm}^2$$

$$\tau_w = \frac{211,17}{31,5} = 6,70 \frac{\text{kN}}{\text{cm}^2} < 12,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{w,dop}$$

$$N_{\max} = 207,65 \text{ kN} \quad (37)$$



$$l_w = 2 \times (20,3 + 18,1) = 2 \times 38,4 = 76,8 \text{ cm}$$

$$a_w = 0,4 \text{ cm}$$

$$A_w = a_w \times l_w = 0,4 \times 76,8 = 30,7 \text{ cm}^2$$

$$\tau_w = \frac{207,65}{30,7} = 6,76 \frac{\text{kN}}{\text{cm}^2} < 12,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{w,dop}$$

3)

20 mm.

( 5 mm

):

$$l_w = 2 \times (22,5 + 2 \times 11,9 + 30,0) = 152,6 \text{ cm}$$

$$a_w = 0,5 \text{ cm}$$

$$A_w = a_w \times l_w = 0,5 \times 152,6 = 76,3 \text{ cm}^2$$

$$\tau_w = \frac{R_v}{A_w} = \frac{103,80}{76,3} = 0,14 \frac{\text{kN}}{\text{cm}^2} < 12,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{w,dop}$$

4) O

15mm)

( 10mm).

( 10mm)

 $R_v$   $R_h$ .

$$potA_v = \frac{R_v}{\tau_{dop}} = \frac{103,80}{9,0} = 11,53 \text{ cm}^2$$

$$potA_h = \frac{R_h}{\tau_{dop}} = \frac{31,40}{9,0} = 3,49 \text{ cm}^2$$

( ):

$$\mathbf{t = 10 \text{ mm}, \quad h = 270 \text{ mm}, \quad b = 295 \text{ mm}}$$

$$A_v = 1,0 \times 27,0 = 27,0 \text{ cm}^2 > potA_v = 11,53 \text{ cm}^2$$

$$A_h = 1,0 \times 29,5 = 29,5 \text{ cm}^2 > potA_h = 3,49 \text{ cm}^2$$

( 10mm)

 $R_v$ :

$$A_{lim} = 1,0 \times 29,5 + 2 \times 1,0 \times 14,5 = 58,5 \text{ cm}^2$$

$$\tau = \frac{R_v}{A_{lim}} = \frac{103,80}{58,5} = 1,77 \frac{kN}{cm^2} < 16,0 \frac{kN}{cm^2}$$

( 5 mm)

$$\tau_w = n = \frac{R_v}{A_w} = \frac{103,80}{0,5 \times 4 \times 14,5} = 3,58 \frac{kN}{cm^2} < 12,0 \frac{kN}{cm^2}$$

( 5 mm)

$$\tau_w = V_{II} = \frac{R_v}{A_w} = \frac{103,80}{0,5 \times 4 \times 13,5} = 3,84 \frac{kN}{cm^2} < 12,0 \frac{kN}{cm^2}$$

5 mm

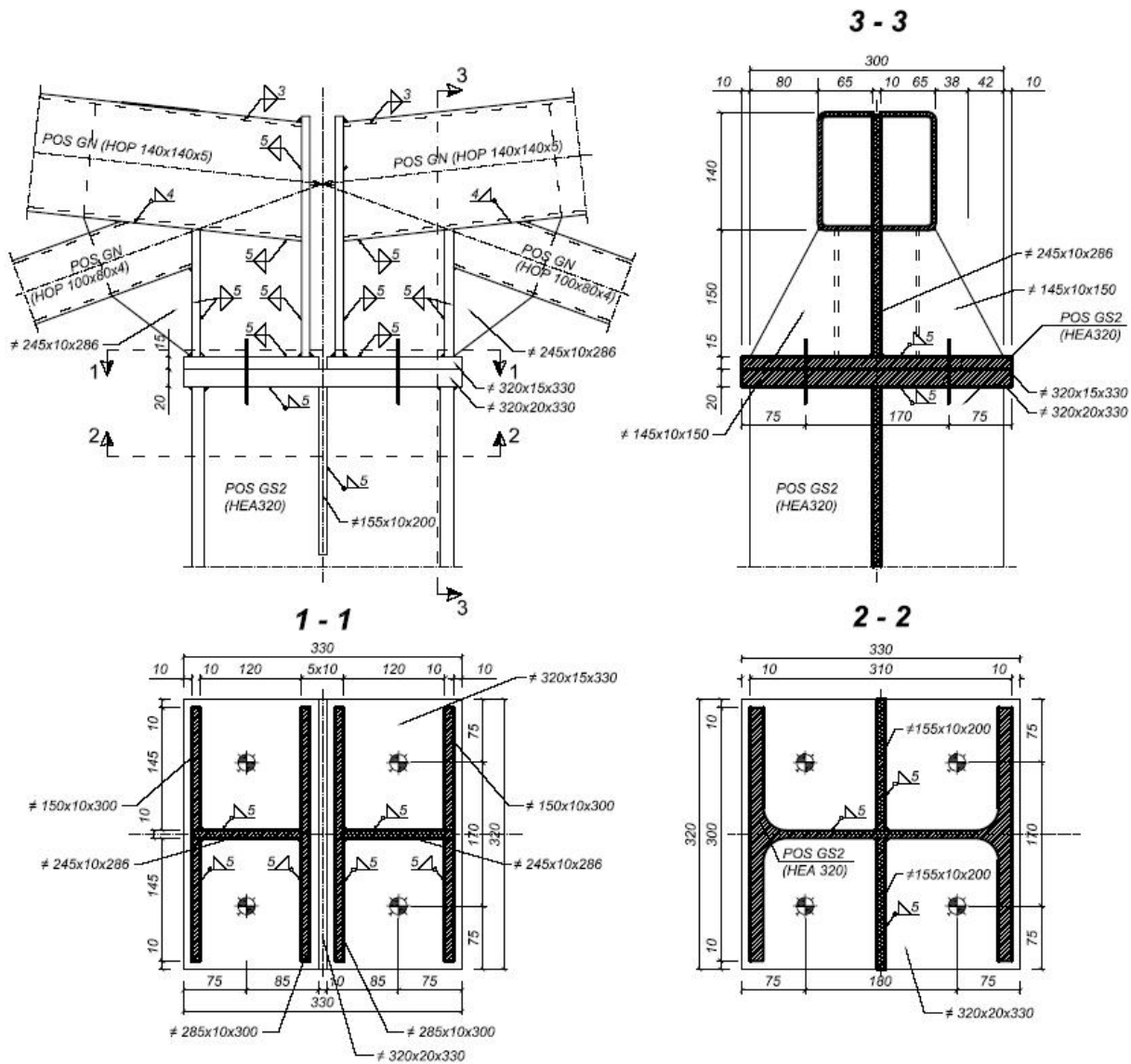
5)

**4 20...10.9 (F<sub>p</sub>•0).**

3.1.9 a

3.1.10

a



1)

:

-

-

:

$$R_v = 211,48 \text{ kN ( + )}$$

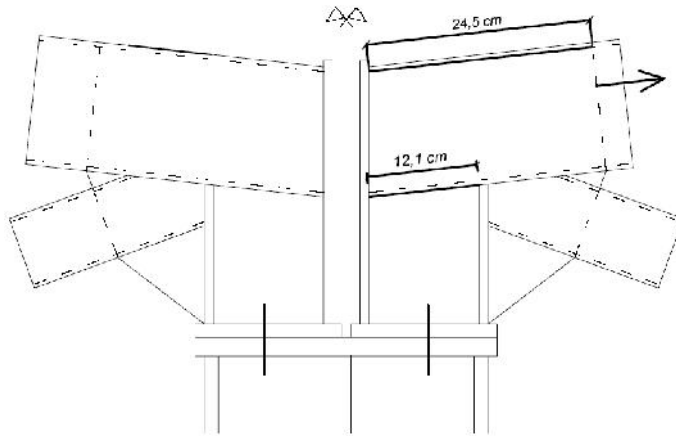
$$R_h = 31,43 \text{ kN}$$

$R_v \quad R_h$

2)

( 8 9 )  
 $N_{\min} = 211,17 \text{ kN}$

3 mm, 5 mm,



$$l_{w1} = 2 \times 24,5 = 49,0 \text{ cm}$$

$$a_{w1} = 0,3 \text{ cm}$$

$$l_{w2} = 2 \times 12,1 = 24,2 \text{ cm}$$

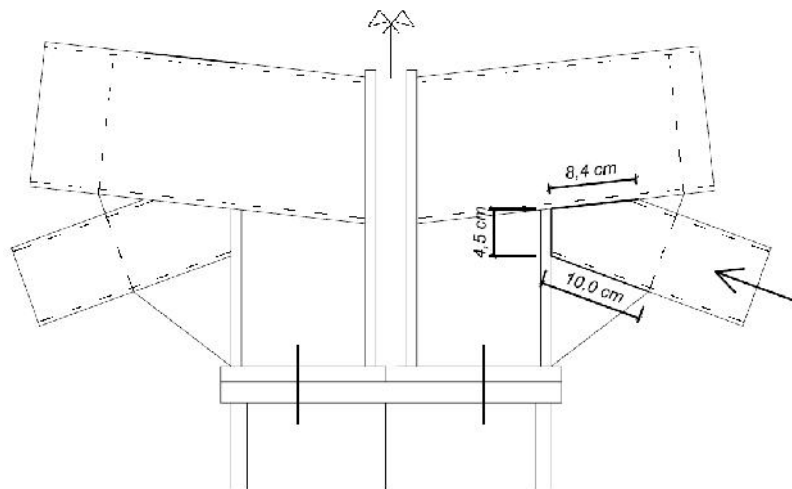
$$a_{w2} = 0,5 \text{ cm}$$

$$A_w = a_{w1} \times l_{w1} + a_{w2} \times l_{w2} = 0,3 \times 49,0 + 0,5 \times 24,2 = 26,8 \text{ cm}^2$$

$$\tau_w = \frac{211,17}{26,8} = 7,88 \frac{\text{kN}}{\text{cm}^2} < 12,0 \frac{\text{kN}}{\text{cm}^2}$$

( 41 42 )  
 $N_{\max} = 210,51 \text{ kN}$

4 mm,



$$l_w = 2 \times (8,4 + 4,5 + 10,0) = 2 \times 22,9 = 45,8 \text{ cm}$$

$$a_w = 0,4 \text{ cm}$$

$$A_w = a_w \times l_w = 0,4 \times 45,8 = 18,3 \text{ cm}^2$$

$$w = 207,65 / 18,3 = 11,3 \text{ kN/cm}^2 < w_{w,dop}$$

3)

20 mm.

( 5 mm

):

$$l_w = 2 \times (22,5 + 2 \times 11,9 + 30,0) = 152,6 \text{ cm}$$

$$a_w = 0,5 \text{ cm}$$

$$A_w = a_w \times l_w = 0,5 \times 152,6 = 76,3 \text{ cm}^2$$

$$\tau_w = \frac{R_v}{A_w} = \frac{103,80}{76,3} = 0,14 \frac{\text{kN}}{\text{cm}^2} < 12,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{w,dop}$$

4) O

15mm)

10mm.

(

 $R_v$   $R_h$ .

$$potA_v = \frac{R_v / 2}{\tau_{dop}} = \frac{211,48}{2 \times 9,0} = 11,75 \text{ cm}^2$$

$$potA_h = \frac{R_h / 2}{\tau_{dop}} = \frac{31,43}{2 \times 9,0} = 1,75 \text{ cm}^2$$

$$\mathbf{t = 10 \text{ mm}, \quad h = 278 \text{ mm}, \quad b = 130 \text{ mm}} \quad ( \quad ):$$

$$A_v = 1,0 \times 27,8 = 27,8 \text{ cm}^2 > potA_v = 11,75 \text{ cm}^2$$

$$A_h = 1,0 \times 13,0 = 13,0 \text{ cm}^2 > potA_h = 1,75 \text{ cm}^2$$

( 10mm)

 $R_v$ :

$$A_l = 2 \times 1,0 \times (30,0 + 13,0) = 86,0 \text{ cm}^2$$

:

$$\tau = \frac{R_v}{A_l} = \frac{211,48}{86,0} = 2,46 \frac{\text{kN}}{\text{cm}^2} < 16,0 \frac{\text{kN}}{\text{cm}^2}$$

5 mm

5)

**2 20...10.9 (F<sub>p</sub>•0).**

**3.1.11**

(λ<sub>max</sub> = 250).

$$l = 220 \times \sqrt{2} = 311,0 \text{ cm}$$

$$i_{pot} = \frac{l}{\lambda_{max}} = \frac{311}{250} = 1,24 \text{ cm}$$

**L70 70 7**

$$i_{min} = 1,37 \text{ cm} > i_{pot} = 1,24 \text{ cm}$$

**Ø 8 mm**

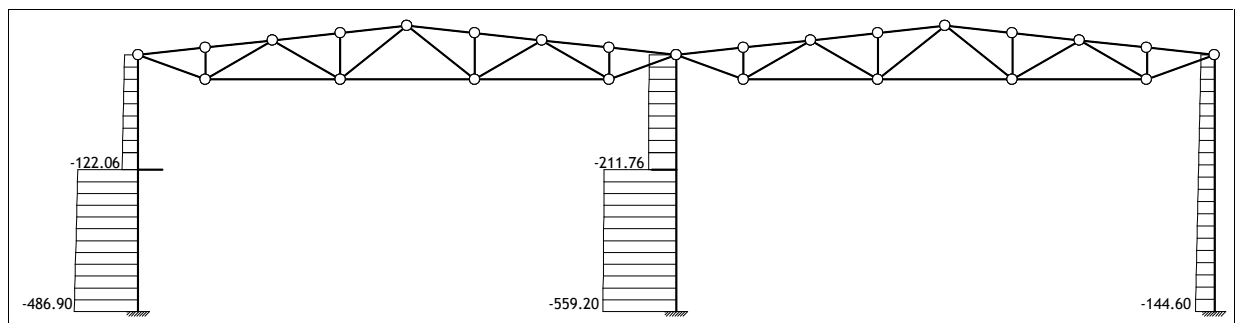
**2 12...4.6.**

**3.2 (POS GS1, POS GS2, POS GS3)**

TOWER 6.

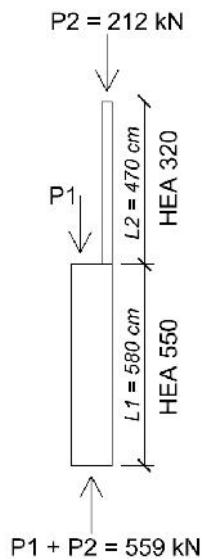
t<sub>max</sub>

t/∞.



3.2.1

(POS GS2)



$I_1 = 111900 \text{ cm}^4$   
 $I_2 = 22930 \text{ cm}^4$

$n = \frac{I_2 \times l_1}{I_1 \times l_2} = \frac{111900 \times 580}{22930 \times 470} = 0,25287$

$m = \frac{P_1 + P_2}{P_2} = \frac{559}{212} = 2,63679$

$r_1 = \frac{l_2}{l_1} \sqrt{\frac{I_1}{I_2 \times m}} = \frac{470}{580} \sqrt{\frac{111900}{22930 \times 2,63679}} = 1,10241$

$\beta_1 = 3,064 \quad \beta_2 = 2,779$

$l_{iy} = \beta_2 \times l_2 = 2,779 \times 470 = 1306 \text{ cm}$

$l_{iz} = 1,0 \times l_2 = 1,0 \times 470 = 470 \text{ cm}$

**HEA320**

$I_y = 22930 \text{ cm}^4$   
 $I_z = 6990 \text{ cm}^4$   
 $I_t = 108 \text{ cm}^4$

$W_y = 1480 \text{ cm}^3$   
 $W_z = 466 \text{ cm}^3$   
 $S_y = 814 \text{ cm}^3$

$i_y = 13,6 \text{ cm}$   
 $i_z = 7,49 \text{ cm}$

$t_w = 9,0 \text{ mm}$

$t_f = 15,5 \text{ mm}$

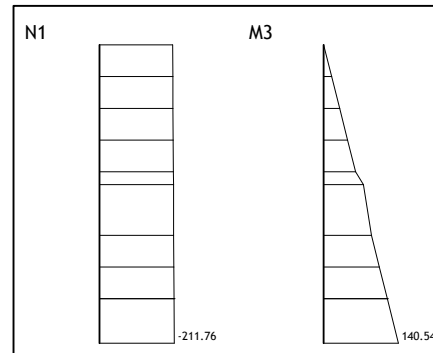
$\eta_y = \frac{l_{iy}}{i_y} = \frac{1306}{13,6} = 96,03 \Rightarrow \eta_y = \frac{\eta_y}{\eta_v} = \frac{96,03}{92,9} = 1,034$

$\eta_z = \frac{l_{iz}}{i_z} = \frac{470}{7,49} = 62,75 \Rightarrow \eta_z = \frac{\eta_z}{\eta_v} = \frac{62,75}{92,9} = 0,675$

453 ( +

$N = 211,76 \text{ kN}$   
 $M_y = 140,54 \text{ kNm}$

$T_{\max} = 50,11 \text{ kN ($   
 $)$





$$\tau_{\max} = \frac{N}{A} + \frac{M_y}{W_y} = \frac{211,76}{124} + \frac{140,54 \times 100}{1480} = 11,20 \frac{kN}{cm^2} < 20,0 \frac{kN}{cm^2} = \tau_{dop}'''$$

3.2.1 JUS U.E7.096 (

z-z )

:

$$k_{ny(z)} \times \tau_N + k_{my} \times \tau_M \leq \tau_{dop}$$

$$: \quad l_z = 470 \text{ cm}$$

$$: \quad l_T = 470 \text{ cm}$$

$$r_y = 0,339 \text{ ( B)}$$

$$r_z = 0,489 \text{ ( C)}$$

$$\sigma_N = N_{\max}/A = 211,76/124 = 1,708 \text{ kN/cm}^2$$

$$\bar{\tau} = \frac{\tau_N}{\tau_{dop}} = \frac{1,708}{20,0} = 0,0854$$

$$k_{ny} = 1 + \frac{r_y \times (\bar{J}_y - 0,2)}{1 - \bar{J}_y^2 \times \bar{\tau}} = 1 + \frac{0,339 \times (1,034 - 0,2)}{1 - 1,034^2 \times 0,0854} = 1,311$$

$$k_{nz} = 1 + \frac{r_z \times (\bar{J}_z - 0,2)}{1 - \bar{J}_z^2 \times \bar{\tau}} = 1 + \frac{0,489 \times (0,675 - 0,2)}{1 - 0,675^2 \times 0,0854} = 1,242$$

$$: \quad k_n = \max\{k_{ny}; k_{nz}\} = \max\{1,311; 1,242\} = 1,311$$

JUS U.E7.096

$S_y = 0,85$ .

$$k_{my} = \frac{S_y}{1 - \bar{J}_y^2 \times \bar{\tau}} = \frac{0,85}{1 - 1,034^2 \times 0,0854} = 0,935 < 1 \Rightarrow k_{my} = 1$$

$$n = \frac{f_y}{\tau_D} = ?$$

\_\_\_\_\_ :

$$r_p = \frac{2 \times S_y}{W_y} = \frac{2 \times 814}{1480} = 1,100$$

$$\tau_{DV} = \gamma_T \frac{f}{l_T \times W_y} \sqrt{G \times E \times I_z \times I_t} = 1,77 \frac{f}{470 \times 1480} \sqrt{8100 \times 21000 \times 6990 \times 108} = 90,59 \frac{kN}{cm^2}$$

$$A_f = b_f \times t_f = 30 \times 1,55 = 46,5 \text{ cm}^2$$

$$A_w = A - 2 \times A_f = 124 - 2 \times 46,5 = 31,0 \text{ cm}^2$$

$$i_{kz} = \frac{b_f}{\sqrt{12}} \sqrt{\frac{A_f}{A_f + A_w/6}} = \frac{30}{\sqrt{12}} \sqrt{\frac{46,5}{46,5 + 31,0/6}} = 8,22 \text{ cm}$$

$$\}_{kz} = \frac{l_z}{i_{kz} \sqrt{y_z}} = \frac{470}{8,22 \sqrt{1,77}} = 43,00$$

$$\dagger_{DW} = \frac{f^2 \times E}{\}^2_{kz}} = \frac{f^2 \times 21000}{43,00^2} = 112,09 \frac{\text{kN}}{\text{cm}^2}$$

$$K = 1 + 0,156 \times \left(\frac{l_z}{h}\right)^2 \times \frac{I_t}{I_z} = 1 + 0,156 \times \left(\frac{470}{31}\right)^2 \times \frac{108}{6990} = 1,554$$

$$\dots = 0,00$$

$$w = \frac{\sqrt{K^2 + \dots^2} - \dots}{\sqrt{K^2 + \dots^2}} = 1$$

$$\dagger_{cr} = w \sqrt{\dagger_{DV}^2 + \dagger_{DW}^2} = 1,0 \times \sqrt{90,00^2 + 112,09^2} = 142,75 \frac{\text{kN}}{\text{cm}^2}$$

$$\overline{\} }_D = \sqrt{\frac{r_p \times f_y}{\dagger_{cr}}} = \sqrt{\frac{1,100 \times 24}{142,75}} = 0,430$$

$$t_D = \left( \frac{1}{1 + \overline{\} }_D^{2n}} \right)^{1/n} \quad (n = 2)$$

$$t_D = \left( \frac{1}{1 + 0,430^4} \right)^{1/2} = 0,983$$

$$\dagger_D = r_p \times t_D \times f_y = 1,100 \times 0,983 \times 24,0 = 25,96 \frac{\text{kN}}{\text{cm}^2} > f_y$$

$$\dagger_D = f_y = 24,0 \text{ kN/cm}^2$$

$$n = 1$$

JUS U.E7.096:

$$1,311 \times 1,708 + 1,0 \times 1,0 \times \frac{140,54 \times 100}{1480} = 11,74 \frac{\text{kN}}{\text{cm}^2} < \dagger_{dop}$$

\_\_\_\_\_ :

$$\dagger = \frac{T_{\max} \times S_y}{I_y \times t_w} = \frac{50,11 \times 814}{22930 \times 0,90} = 1,98 \frac{\text{kN}}{\text{cm}^2} < \dagger_{dop}$$

$$l_{iy} = \beta_1 \times l_1 = 3,064 \times 580 = 1777 \text{ cm}$$

$$l_{iz} = 1,0 \times l_1 = 1,0 \times 580 = 580 \text{ cm}$$

**HEA550**

$$= 212 \text{ cm}^2$$

$$h = 540 \text{ mm}$$

$$b = 300 \text{ mm}$$

$$I_y = 111900 \text{ cm}^4$$

$$I_z = 10820 \text{ cm}^4$$

$$I_t = 353 \text{ cm}^4$$

$$W_y = 4150 \text{ cm}^3$$

$$W_z = 721 \text{ cm}^3$$

$$S_y = 2310 \text{ cm}^3$$

$$i_y = 23,0 \text{ cm}$$

$$i_z = 7,15 \text{ cm}$$

$$t_w = 12,5 \text{ mm}$$

$$t_f = 24 \text{ mm}$$

$$\lambda_y = \frac{l_{iy}}{i_y} = \frac{1777}{23,0} = 77,26 \Rightarrow \bar{\lambda}_y = \frac{\lambda_y}{\lambda_v} = \frac{77,26}{92,9} = 0,832$$

$$\lambda_z = \frac{l_{iz}}{i_z} = \frac{580}{7,15} = 81,12 \Rightarrow \bar{\lambda}_z = \frac{\lambda_z}{\lambda_v} = \frac{81,12}{92,9} = 0,873$$

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$$N = 541,09 \text{ kN}$$

$$M_y = 283,50 \text{ kNm}$$

$$T_{\max} = 50,11 \text{ kN ($$

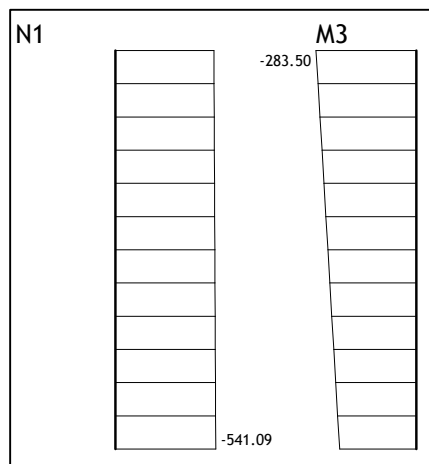
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$$e = \frac{h_1 - h_2}{2} = \frac{54 - 31}{2} = 11,5 \text{ cm}$$

$$M_e = P_2 \times e = 212 \times 11,5 / 100 = 24,4 \text{ kNm}$$

$$= M_y + M_e = 283,50 + 24,4 = 307,9 \text{ kNm}$$

$$\tau_{\max} = \frac{N}{A} + \frac{M_y}{W_y} = \frac{541,09}{212} + \frac{307,9 \times 100}{4150} = 9,97 \frac{\text{kN}}{\text{cm}^2} < 18,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{dop}^{II}$$



3.2.1 JUS U.E7.096 (

z-z )

:

$$k_{ny(z)} \times \tau_N + k_{my} \times \tau_{M_y} \leq \tau_{dop}$$

$$\begin{aligned} & : l_z = 580 \text{ cm} \\ & : l_T = 580 \text{ cm} \end{aligned}$$

$$\begin{aligned} r_y &= 0,206 \text{ (A)} \\ r_z &= 0,339 \text{ (B)} \end{aligned}$$

$$\sigma_N = N_{\max}/A = 541,09/212 = 2,552 \text{ kN/cm}^2$$

$$\bar{t} = \frac{t_N}{t_{dop}} = \frac{2,552}{18,0} = 0,1418$$

$$k_{ny} = 1 + \frac{r_y \times (\bar{y}_y - 0,2)}{1 - \bar{y}_y^2 \times \bar{t}} = 1 + \frac{0,206 \times (0,832 - 0,2)}{1 - 0,832^2 \times 0,1418} = 1,144$$

$$k_{nz} = 1 + \frac{r_z \times (\bar{y}_z - 0,2)}{1 - \bar{y}_z^2 \times \bar{t}} = 1 + \frac{0,339 \times (0,873 - 0,2)}{1 - 0,873^2 \times 0,1418} = 1,256$$

$$: k_n = \max\{k_{ny}; k_{nz}\} = \max\{1,144; 1,256\} = 1,256$$

JUS U.E7.096

 $S_y = 0,85.$ 

$$k_{my} = \frac{S_y}{1 - \bar{y}_y^2 \times \bar{t}} = \frac{0,85}{1 - 0,832^2 \times 0,1418} = 0,943 < 1 \Rightarrow k_{my} = 1$$

$$n = \frac{f_y}{t_D} = ?$$

---

$$r_p = \frac{2 \times S_y}{W_y} = \frac{2 \times 2310}{4150} = 1,113$$

$$t_{DV} = y_T \frac{f}{l_T \times W_y} \sqrt{G \times E \times I_z \times I_t} = 1,30 \frac{f}{580 \times 4150} \sqrt{8100 \times 21000 \times 10820 \times 353} = 43,25 \frac{\text{kN}}{\text{cm}^2}$$

$$A_f = b_f \times t_f = 30 \times 2,40 = 72,0 \text{ cm}^2$$

$$A_w = A - 2 \times A_f = 212 - 2 \times 72 = 68,0 \text{ cm}^2$$

$$i_{kz} = \frac{b_f}{\sqrt{12}} \sqrt{\frac{A_f}{A_f + A_w/6}} = \frac{30}{\sqrt{12}} \sqrt{\frac{72}{72 + 68/6}} = 8,05 \text{ cm}$$

$$\bar{y}_{kz} = \frac{l_z}{i_{kz} \sqrt{y_z}} = \frac{580}{8,05 \sqrt{1,30}} = 63,19$$

$$t_{DW} = \frac{f^2 \times E}{\bar{y}_{kz}^2} = \frac{f^2 \times 21000}{63,19^2} = 51,90 \frac{\text{kN}}{\text{cm}^2}$$

$$K = 1 + 0,156 \times \left( \frac{l_z}{h} \right)^2 \times \frac{I_t}{I_z} = 1 + 0,156 \times \left( \frac{570}{54} \right)^2 \times \frac{353}{10820} = 1,567$$

$$\dots = 0,00$$

$$w = \frac{\sqrt{K^2 + \dots^2} - \dots}{\sqrt{K^2 + \dots^2}} = 1$$

$$\tau_{cr} = w \sqrt{\tau_{DV}^2 + \tau_{DW}^2} = 1,0 \times \sqrt{43,25^2 + 51,90^2} = 67,56 \frac{kN}{cm^2}$$

$$\bar{\lambda}_D = \sqrt{\frac{r_p \times f_y}{\tau_{cr}}} = \sqrt{\frac{1,113 \times 24}{67,56}} = 0,629$$

$$t_D = \left( \frac{1}{1 + \bar{\lambda}_D^{2n}} \right)^{1/n} \quad (n = 2)$$

$$t_D = \left( \frac{1}{1 + 0,629^4} \right)^{1/2} = 0,930$$

$$\tau_D = r_p \times t_D \times f_y = 1,113 \times 0,930 \times 24,0 = 24,84 \frac{kN}{cm^2} > f_y$$

$$\tau_D = f_y = 24,0 \text{ kN/cm}^2$$

$$n = 1$$

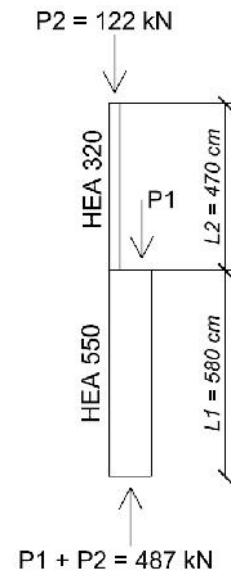
JUS U.E7.096:

$$1,256 \times 2,552 + 1,0 \times 1,0 \times \frac{307,9 \times 100}{4150} = 10,62 \frac{kN}{cm^2} < \tau_{dop}$$

\_\_\_\_\_ :

$$\tau = \frac{T_{\max} \times S_y}{I_y \times t_w} = \frac{50,11 \times 2310}{111900 \times 1,25} = 0,83 \frac{kN}{cm^2} < \tau_{dop}$$

## 3.2.2 (POS GS1)



$$I_1 = 111900 \text{ cm}^4$$

$$I_2 = 22930 \text{ cm}^4$$

$$n = \frac{I_2 \times l_1}{I_1 \times l_2} = \frac{111900 \times 580}{22930 \times 470} = 0,25287$$

$$m = \frac{P_1 + P_2}{P_2} = \frac{487}{122} = 3,99180$$

$$r_1 = \frac{l_2}{l_1} \sqrt{\frac{I_1}{I_2 \times m}} = \frac{470}{580} \sqrt{\frac{111900}{22930 \times 3,99180}} = 0,89598$$

$$\beta_1 = 2,666 \quad \beta_2 = 2,976$$

$$l_{iy} = \beta_2 \times l_2 = 2,976 \times 470 = 1399 \text{ cm}$$

$$l_{iz} = 1,0 \times l_2 = 1,0 \times 470 = 470 \text{ cm}$$

**HEA320**

$$= 124 \text{ cm}^2$$

$$h = 310 \text{ mm}$$

$$b = 300 \text{ mm}$$

$$t_w = 9,0 \text{ mm}$$

$$I_y = 22930 \text{ cm}^4$$

$$I_z = 6990 \text{ cm}^4$$

$$I_t = 108 \text{ cm}^4$$

$$t_f = 15,5 \text{ mm}$$

$$W_y = 1480 \text{ cm}^3$$

$$W_z = 466 \text{ cm}^3$$

$$S_y = 814 \text{ cm}^3$$

$$i_y = 13,6 \text{ cm}$$

$$i_z = 7,49 \text{ cm}$$

$$\lambda_y = \frac{l_{iy}}{i_y} = \frac{1399}{13,6} = 102,87 \Rightarrow \bar{\lambda}_y = \frac{\lambda_y}{\lambda_v} = \frac{102,87}{92,9} = 1,107$$

$$\lambda_z = \frac{l_{iz}}{i_z} = \frac{470}{7,49} = 62,75 \Rightarrow \bar{\lambda}_z = \frac{\lambda_z}{\lambda_v} = \frac{62,75}{92,9} = 0,675$$

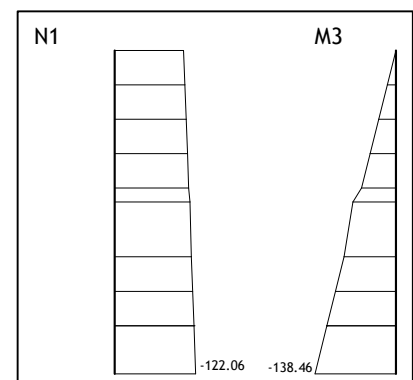
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$$N = 122,06 \text{ kN}$$

$$M_y = 138,46 \text{ kNm}$$

$$T_{\max} = 50,09 \text{ kN ( )}$$



$$\tau_{\max} = \frac{N}{A} + \frac{M_y}{W_y} = \frac{122,06}{124} + \frac{138,46 \times 100}{1480} = 10,34 \frac{\text{kN}}{\text{cm}^2} < 20,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{\text{dop}} \quad \text{III}$$

3.2.1 JUS U.E7.096 (

z-z )

:

$$k_{n_{y(z)}} \times \tau_N + k_{m_y} \times n \times \tau_{M_y} \leq \tau_{\text{dop}}$$

$$: \quad l_z = 300 \text{ cm}$$

$$: \quad l_T = 470 \text{ cm}$$

$$r_y = 0,339 \text{ ( B)}$$

$$r_z = 0,489 \text{ ( C)}$$

$$\sigma_N = N_{\max}/A = 122,06/124 = 0,984 \text{ kN/cm}^2$$

$$\bar{\tau} = \frac{\tau_N}{\tau_{\text{dop}}} = \frac{0,984}{20,0} = 0,0492$$

$$k_{n_y} = 1 + \frac{r_y \times (\bar{\tau}_y - 0,2)}{1 - \bar{\tau}_y^2 \times \bar{\tau}} = 1 + \frac{0,339 \times (1,107 - 0,2)}{1 - 1,107^2 \times 0,0492} = 1,327$$

$$k_{n_z} = 1 + \frac{r_z \times (\bar{\tau}_z - 0,2)}{1 - \bar{\tau}_z^2 \times \bar{\tau}} = 1 + \frac{0,489 \times (0,675 - 0,2)}{1 - 0,675^2 \times 0,0492} = 1,238$$

$$: \quad k_n = \max\{k_{n_y}; k_{n_z}\} = \max\{1,327; 1,238\} = 1,327$$

JUS U.E7.096

$S_y = 0,85$ .

$$k_{m_y} = \frac{S_y}{1 - \bar{\tau}_y^2 \times \bar{\tau}} = \frac{0,85}{1 - 1,107^2 \times 0,0492} = 0,905 < 1 \Rightarrow k_{m_y} = 1$$

$$n = \frac{f_y}{\tau_D} = ?$$

:

$$r_p = \frac{2 \times S_y}{W_y} = \frac{2 \times 814}{1480} = 1,100$$

$$\tau_{DV} = y_T \frac{f}{l_T \times W_y} \sqrt{G \times E \times I_z \times I_t} = 1,77 \frac{f}{470 \times 1480} \sqrt{8100 \times 21000 \times 6990 \times 108} = 90,59 \frac{\text{kN}}{\text{cm}^2}$$

$$A_f = b_f \times t_f = 30 \times 1,55 = 46,5 \text{ cm}^2$$

$$A_w = A - 2 \times A_f = 124 - 2 \times 46,5 = 31,0 \text{ cm}^2$$

$$i_{kz} = \frac{b_f}{\sqrt{12}} \sqrt{\frac{A_f}{A_f + A_w/6}} = \frac{30}{\sqrt{12}} \sqrt{\frac{46,5}{46,5 + 31/6}} = 8,22 \text{ cm}$$

$$\}_{kz} = \frac{l_z}{i_{kz} \sqrt{y_z}} = \frac{300}{8,22 \sqrt{1,77}} = 27,45$$

$$\dagger_{DW} = \frac{f^2 \times E}{\}^2_{kz}} = \frac{f^2 \times 21000}{27,45^2} = 275,14 \frac{\text{kN}}{\text{cm}^2}$$

$$K = 1 + 0,156 \times \left(\frac{l_z}{h}\right)^2 \times \frac{I_z}{I_z} = 1 + 0,156 \times \left(\frac{300}{31}\right)^2 \times \frac{108}{6990} = 1,226$$

... = 0,00

$$w = \frac{\sqrt{K^2 + \dots^2} - \dots}{\sqrt{K^2 + \dots^2}} = 1$$

$$\dagger_{cr} = w \sqrt{\dagger_{DV}^2 + \dagger_{DW}^2} = 1,0 \times \sqrt{90,59^2 + 275,14^2} = 289,67 \frac{\text{kN}}{\text{cm}^2}$$

$$\overline{\} }_D = \sqrt{\frac{r_p \times f_y}{\dagger_{cr}}} = \sqrt{\frac{1,100 \times 24}{289,67}} = 0,302$$

$$t_D = \left(\frac{1}{1 + \overline{\} }_D^{2n}}\right)^{1/n} \quad (n = 2)$$

$$t_D = \left(\frac{1}{1 + 0,302^4}\right)^{1/2} = 0,996$$

$$\dagger_D = r_p \times t_D \times f_y = 1,100 \times 0,996 \times 24,0 = 26,29 \frac{\text{kN}}{\text{cm}^2} > f_y$$

$$\dagger_D = f_y = 24,0 \text{ kN/cm}^2$$

$$n = 1$$

JUS U.E7.096:

$$1,327 \times 0,984 + 1,0 \times 1,0 \times \frac{138,46 \times 100}{1480} = 10,66 \frac{\text{kN}}{\text{cm}^2} < \dagger_{dop}$$

:

$$\dagger = \frac{T_{\max} \times S_y}{I_y \times t_w} = \frac{50,09 \times 814}{22930 \times 0,9} = 1,98 \frac{\text{kN}}{\text{cm}^2} < \dagger_{dop}$$



$$l_{iy} = \beta_1 \times l_1 = 2,666 \times 580 = 1546 \text{ cm}$$

$$l_{iz} = 300 \text{ cm}$$

**HEA550**

$$\begin{array}{llll} = 212 \text{ cm}^2 & I_y = 111900 \text{ cm}^4 & W_y = 4150 \text{ cm}^3 & i_y = 23,0 \text{ cm} \\ h = 540 \text{ mm} & I_z = 10820 \text{ cm}^4 & W_z = 721 \text{ cm}^3 & i_z = 7,15 \text{ cm} \\ b = 300 \text{ mm} & I_t = 353 \text{ cm}^4 & S_y = 2310 \text{ cm}^3 & \end{array}$$

$$t_w = 12,5 \text{ mm} \quad t_f = 24 \text{ mm}$$

$$\lambda_y = \frac{l_{iy}}{i_y} = \frac{1546}{23,0} = 67,23 \Rightarrow \bar{\lambda}_y = \frac{\lambda_y}{\lambda_v} = \frac{67,23}{92,9} = 0,724$$

$$\lambda_z = \frac{l_{iz}}{i_z} = \frac{300}{7,15} = 41,96 \Rightarrow \bar{\lambda}_z = \frac{\lambda_z}{\lambda_v} = \frac{41,96}{92,9} = 0,452$$

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$$N = 476,07 \text{ kN}$$

$$M_y = 275,99 \text{ kNm}$$

$$T_{\max} = 58,64 \text{ kN} \quad ( )$$

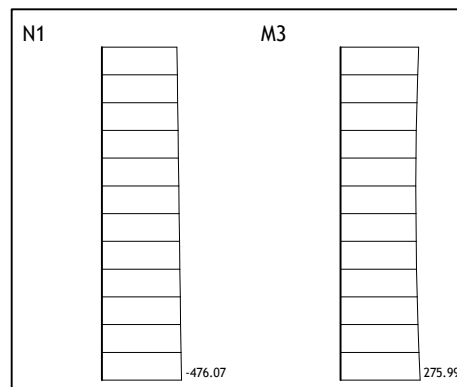
 $P_2$ 

$$e = \frac{h_1 - h_2}{2} = \frac{54 - 31}{2} = 11,5 \text{ cm}$$

$$M_e = P_2 \times e = 122 \times 11,5 / 100 = 14,03 \text{ kNm}$$

$$= M_y + M_e = 275,99 + 14,03 = 290,0 \text{ kNm}$$

$$\tau_{\max} = \frac{N}{A} + \frac{M_y}{W_y} = \frac{476,07}{212} + \frac{290,0 \times 100}{4150} = 9,23 \frac{\text{kN}}{\text{cm}^2} < 18,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{dop}$$



## 3.2.1 JUS U.E7.096 (

z-z )

$$k_{ny(z)} \times \tau_N + k_{my} \times \tau_M \leq \tau_{dop}$$

$$\begin{array}{l} : \quad l_z = 300 \text{ cm} \\ : \quad l_T = 580 \text{ cm} \end{array}$$

$$r_y = 0,206 \quad (\text{A})$$

$$r_z = 0,339 \quad (\text{B})$$

$$\sigma_N = N_{\max}/A = 476,07/212 = 2,246 \text{ kN/cm}^2$$

$$\bar{t} = \frac{t_N}{t_{dop}} = \frac{2,246}{18,0} = 0,1248$$

$$k_{ny} = 1 + \frac{r_y \times (\bar{y}_y - 0,2)}{1 - \bar{y}_y^2 \times \bar{t}} = 1 + \frac{0,206 \times (0,724 - 0,2)}{1 - 0,724^2 \times 0,1248} = 1,115$$

$$k_{nz} = 1 + \frac{r_z \times (\bar{y}_z - 0,2)}{1 - \bar{y}_z^2 \times \bar{t}} = 1 + \frac{0,339 \times (0,452 - 0,2)}{1 - 0,452^2 \times 0,1248} = 1,088$$

$$: \quad k_n = \max\{k_{ny}; k_{nz}\} = \max\{1,115; 1,088\} = 1,115$$

JUS U.E7.096

$S_y = 0,85$ .

$$k_{my} = \frac{S_y}{1 - \bar{y}_y^2 \times \bar{t}} = \frac{0,85}{1 - 0,724^2 \times 0,1248} = 0,909 < 1 \Rightarrow k_{my} = 1$$

$$n = \frac{f_y}{t_D} = ?$$

$$r_p = \frac{2 \times S_y}{W_y} = \frac{2 \times 2310}{4150} = 1,113$$

$$t_{DV} = y_T \frac{f}{l_T \times W_y} \sqrt{G \times E \times I_z \times I_t} = 1,30 \frac{f}{580 \times 4150} \sqrt{8100 \times 21000 \times 10820 \times 353} = 43,25 \frac{\text{kN}}{\text{cm}^2}$$

$$A_f = b_f \times t_f = 30 \times 2,40 = 72,0 \text{ cm}^2$$

$$A_w = A - 2 \times A_f = 212 - 2 \times 72 = 68,0 \text{ cm}^2$$

$$i_{kz} = \frac{b_f}{\sqrt{12}} \sqrt{\frac{A_f}{A_f + A_w / 6}} = \frac{30}{\sqrt{12}} \sqrt{\frac{72}{72 + 68 / 6}} = 8,05 \text{ cm}$$

$$\}_{kz} = \frac{l_z}{i_{kz} \sqrt{y_z}} = \frac{300}{8,05 \sqrt{1,30}} = 32,68$$

$$t_{DW} = \frac{f^2 \times E}{\}^2_{kz}} = \frac{f^2 \times 21000}{32,68^2} = 194,02 \frac{\text{kN}}{\text{cm}^2}$$

$$K = 1 + 0,156 \times \left(\frac{l_z}{h}\right)^2 \times \frac{I_t}{I_z} = 1 + 0,156 \times \left(\frac{300}{54}\right)^2 \times \frac{353}{10820} = 1,157$$

$$\dots = 0,00$$

$$w = \frac{\sqrt{K^2 + \dots^2} - \dots}{\sqrt{K^2 + \dots^2}} = 1$$

$$t_{cr} = w \sqrt{t_{DV}^2 + t_{DW}^2} = 1,0 \times \sqrt{43,25^2 + 194,02^2} = 198,78 \frac{kN}{cm^2}$$

$$\bar{\lambda}_D = \sqrt{\frac{r_p \times f_y}{t_{cr}}} = \sqrt{\frac{1,113 \times 24}{198,78}} = 0,367$$

$$t_D = \left( \frac{1}{1 + \bar{\lambda}_D^{2n}} \right)^{1/n} \quad (n = 2)$$

$$t_D = \left( \frac{1}{1 + 0,367^4} \right)^{1/2} = 0,991$$

$$t_D = r_p \times t_D \times f_y = 1,113 \times 0,991 \times 24,0 = 26,47 \frac{kN}{cm^2} > f_y$$

$$\sigma_D = f_y = 24,0 \text{ kN/cm}^2$$

$$n = 1$$

JUS U.E7.096:

$$1,115 \times 2,246 + 1,0 \times 1,0 \times \frac{290,0 \times 100}{4150} = 9,49 \frac{kN}{cm^2} < t_{dop}$$

\_\_\_\_\_ :

$$t = \frac{T_{max} \times S_y}{I_y \times t_w} = \frac{58,64 \times 2310}{111900 \times 1,25} = 0,97 \frac{kN}{cm^2} < t_{dop}$$

3.2.3 (POS GS3)

$$\beta_y = 2,0 \quad , \quad 10,5 \text{ m}$$

\_\_\_\_\_ :

$$l_{iy} = \beta_2 \times l = 2,0 \times 1050 = 2100 \text{ cm}$$

$$l_{iz} = 300 \text{ cm}$$

**HEA320** :

$I_y = 124 \text{ cm}^4$	$I_y = 22930 \text{ cm}^4$	$W_y = 1480 \text{ cm}^3$	$i_y = 13,6 \text{ cm}$
$h = 310 \text{ mm}$	$I_z = 6990 \text{ cm}^4$	$W_z = 466 \text{ cm}^3$	$i_z = 7,49 \text{ cm}$
$b = 300 \text{ mm}$	$I_t = 108 \text{ cm}^4$	$S_y = 814 \text{ cm}^3$	
$t_w = 9,0 \text{ mm}$	$t_f = 15,5 \text{ mm}$		

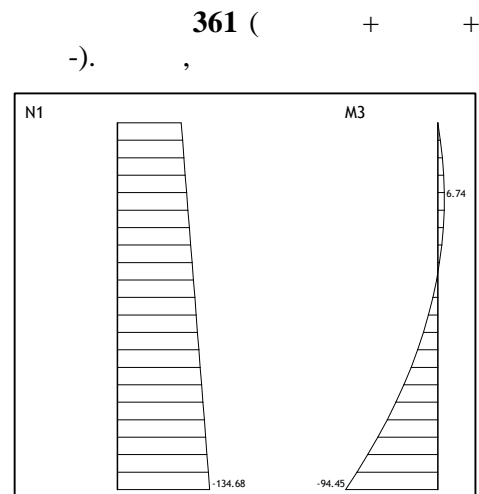
$$\bar{y} = \frac{l_{iy}}{i_y} = \frac{2100}{13,6} = 154,41 \Rightarrow \bar{y} = \frac{y}{y_v} = \frac{154,41}{92,9} = 1,662$$

$$\bar{z} = \frac{l_{iz}}{i_z} = \frac{300}{7,49} = 40,05 \Rightarrow \bar{z} = \frac{z}{z_v} = \frac{40,05}{92,9} = 0,431$$

$$N = 134,68 \text{ kN}$$

$$M_y = 94,45 \text{ kNm}$$

$$T_{\max} = 24,31 \text{ kN}$$



$$\tau_{\max} = \frac{N}{A} + \frac{M_y}{W_y} = \frac{134,68}{124} + \frac{94,45 \times 100}{1480} = 7,47 \frac{\text{kN}}{\text{cm}^2} < 18,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{dop}^{III}$$

### 3.2.1 JUS U.E7.096 (

z-z )

$$k_{ny(z)} \times \tau_N + k_{my} \times \tau_{My} \leq \tau_{dop}$$

$$: l_z = 300 \text{ cm}$$

$$: l_T = 1050 \text{ cm}$$

$$r_y = 0,339 \text{ ( B)}$$

$$r_z = 0,489 \text{ ( C)}$$

$$\sigma_N = N_{\max}/A = 134,68/124 = 1,086 \text{ kN/cm}^2$$

$$\bar{\tau} = \frac{\tau_N}{\tau_{dop}} = \frac{1,086}{18,0} = 0,0603$$

$$k_{ny} = 1 + \frac{r_y \times (\bar{y} - 0,2)}{1 - \bar{y}^2 \times \bar{\tau}} = 1 + \frac{0,339 \times (1,662 - 0,2)}{1 - 1,662^2 \times 0,0603} = 1,587$$

$$k_{nz} = 1 + \frac{r_z \times (\bar{z} - 0,2)}{1 - \bar{z}^2 \times \bar{\tau}} = 1 + \frac{0,489 \times (0,431 - 0,2)}{1 - 0,431^2 \times 0,0603} = 1,114$$

$$: k_n = \max\{k_{ny}; k_{nz}\} = \max\{1,587; 1,114\} = 1,587$$

$$k_{my} = \frac{S_y}{1 - \frac{S_y^2}{I_y} \times \frac{1}{\tau}} = \frac{0,85}{1 - 1,662^2 \times 0,0603} = 1,020$$

$$n = \frac{f_y}{\tau_D} = ?$$

:

$$r_p = \frac{2 \times S_y}{W_y} = \frac{2 \times 814}{1480} = 1,100$$

$$\tau_{DV} = \gamma_T \frac{f}{l_T \times W_y} \sqrt{G \times E \times I_z \times I_t} = 1,77 \frac{f}{1050 \times 1480} \sqrt{8100 \times 21000 \times 6990 \times 108} = 40,55 \frac{kN}{cm^2}$$

$$A_f = b_f \times t_f = 30 \times 1,55 = 46,5 cm^2$$

$$A_w = A - 2 \times A_f = 124 - 2 \times 46,5 = 31,0 cm^2$$

$$i_{kz} = \frac{b_f}{\sqrt{12}} \sqrt{\frac{A_f}{A_f + A_w/6}} = \frac{30}{\sqrt{12}} \sqrt{\frac{46,5}{46,5 + 31/6}} = 8,22 cm$$

$$\lambda_{kz} = \frac{l_z}{i_{kz} \sqrt{\gamma_z}} = \frac{300}{8,22 \sqrt{1,77}} = 27,45$$

$$\tau_{DW} = \frac{f^2 \times E}{\lambda_{kz}^2} = \frac{f^2 \times 21000}{27,45^2} = 275,14 \frac{kN}{cm^2}$$

$$K = 1 + 0,156 \times \left(\frac{l_z}{h}\right)^2 \times \frac{I_t}{I_z} = 1 + 0,156 \times \left(\frac{300}{31}\right)^2 \times \frac{108}{6990} = 1,226$$

$$\dots = 0,00$$

$$w = \frac{\sqrt{K^2 + \dots^2} - \dots}{\sqrt{K^2 + \dots^2}} = 1$$

$$\tau_{cr} = w \sqrt{\tau_{DV}^2 + \tau_{DW}^2} = 1,0 \times \sqrt{40,55^2 + 275,14^2} = 278,11 \frac{kN}{cm^2}$$

$$\lambda_D = \sqrt{\frac{r_p \times f_y}{\tau_{cr}}} = \sqrt{\frac{1,100 \times 24}{278,11}} = 0,308$$

$$t_D = \left( \frac{1}{1 + \lambda_D^{2n}} \right)^{1/n} \quad (n = 2)$$

$$t_D = \left( \frac{1}{1 + 0,308^4} \right)^{1/2} = 0,996$$

$$\tau_D = r_p \times t_D \times f_y = 1,100 \times 0,996 \times 24,0 = 26,29 \frac{kN}{cm^2} > f_y$$

$$\tau_D = f_y = 24,0 \text{ kN/cm}^2$$

$$n = 1$$

JUS U.E7.096:

$$1,587 \times 1,086 + 1,020 \times 1,0 \times \frac{94,45 \times 100}{1480} = 8,23 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}$$

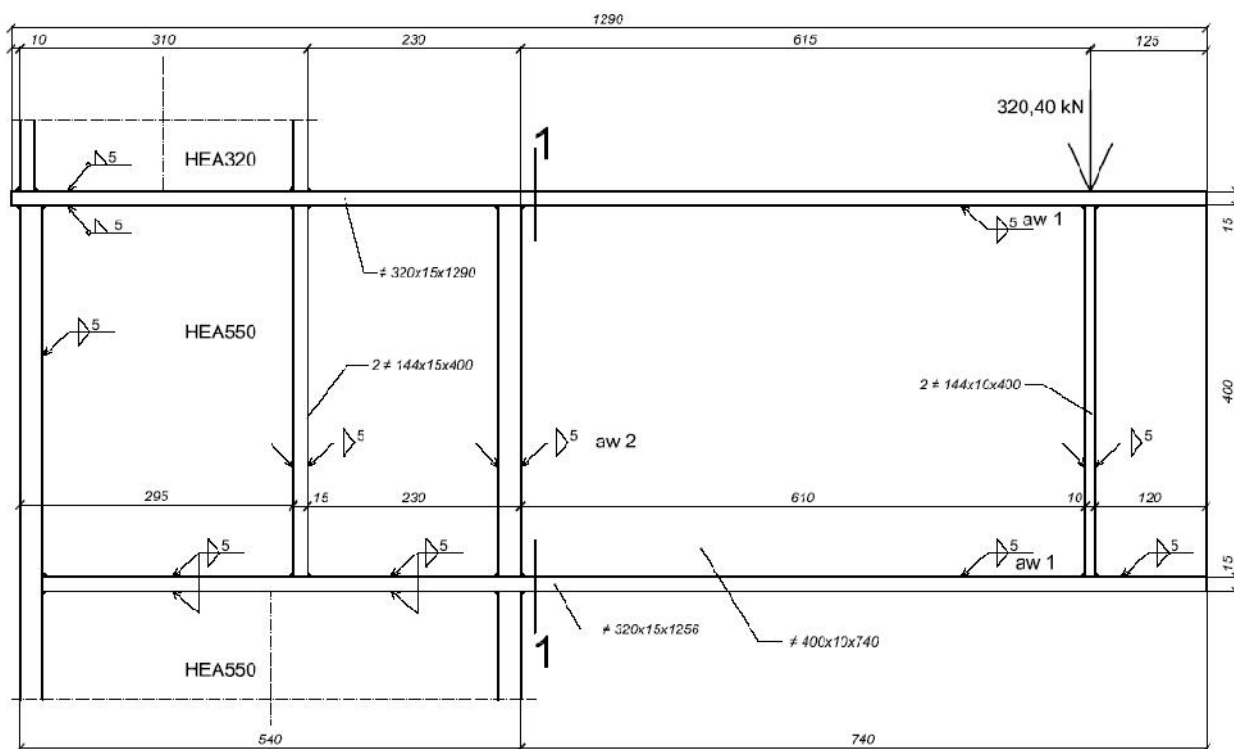
$$\tau = \frac{T_{\max} \times S_y}{I_y \times t_w} = \frac{24,31 \times 814}{22930 \times 0,9} = 0,96 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}$$

### 3.2.4

POS ND (

IPE600)

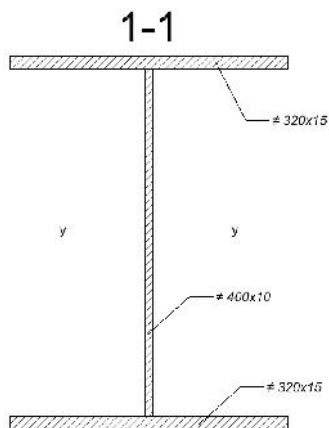
( ):



1-1 :

$$= 320,40 \text{ kN}$$

$$M = 320,40 \hat{\cdot} 0,615 = 197,0 \text{ kNm}$$



1-1 :

$$I_y = \frac{40,0^3 \times 1,0}{12} + 2 \times 32,0 \times 1,5 \times 20,75^2 = 5333 + 41334 = 46667 \text{ cm}^4$$

$$S_y = 32,0 \times 1,5 \times 20,75 + 20,0 \times 1,0 \times 10,0 = 1196 \text{ cm}^3$$

$$W_y = \frac{I_y \times 2}{d} = \frac{46667 \times 2}{43} = 2171 \text{ cm}^3$$

$$S_p = 32,0 \times 1,5 \times 20,75 = 996 \text{ cm}^3$$

1-1:

$$\tau_{\max} = \frac{M}{W_y} = \frac{197,0 \times 100}{2171} = 9,07 \frac{kN}{cm^2} < 16,0 \frac{kN}{cm^2} = \tau_{,dop}^I$$

$$\tau_{\max} = \frac{T \times S_y}{I_y \times t_w} = \frac{320,40 \times 1196}{46667 \times 1,0} = 8,21 \frac{kN}{cm^2} < 9,0 \frac{kN}{cm^2} = \tau_{,dop}^I$$

$$\tau_R = \tau_{\max} \times \frac{d_w}{d} = 9,07 \times \frac{40,0}{43,0} = 8,44 \frac{kN}{cm^2}$$

$$\tau_R = \frac{T \times S_p}{I_y \times t_w} = \frac{320,40 \times 996}{46667 \times 1,0} = 6,84 \frac{kN}{cm^2}$$

$$\tau_u = \sqrt{\tau_R^2 + 3 \times \tau_R^2} = \sqrt{8,44^2 + 3 \times 6,84^2} = 14,55 \frac{kN}{cm^2} < 16,0 \frac{kN}{cm^2} = \tau_{u,dop}^I$$

---

**a<sub>1</sub> = 5 mm**

$$V_{II} = \frac{320,40 \times 996}{46667 \times 2 \times 0,5} = 6,84 \frac{kN}{cm^2} < 12,0 \frac{kN}{cm^2} = \tau_{w,dop}^I$$

---

**a<sub>2</sub> = 5 mm**

$$A_w = 2 \times 0,5 \times 40,0 = 40,0 \text{ cm}^2$$

$$W_w = 2 \times 0,5 \times \frac{40,0^2}{6} = 266,7 \text{ cm}^3$$

$$M_R = M \times \frac{I_{w,y}}{I_y} = 197,0 \times \frac{5333}{46667} = 22,51 \text{ kNm}$$

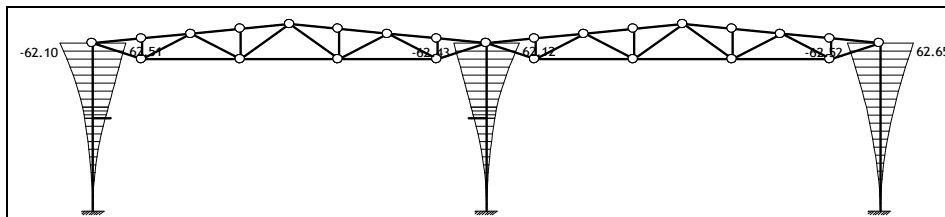
$$n = \frac{M_R}{W_w} = \frac{22,51 \times 100}{266,7} = 8,44 \frac{kN}{cm^2}$$

$$V_{II} = \frac{T}{A_w} = \frac{320,40}{40,0} = 8,01 \frac{kN}{cm^2}$$

$$\tau_u = \sqrt{n^2 + V_{II}^2} = \sqrt{8,44^2 + 8,01^2} = 11,64 \frac{kN}{cm^2} < 12,0 \frac{kN}{cm^2} = \tau_{w,dop}^I$$

3.2.5

1)



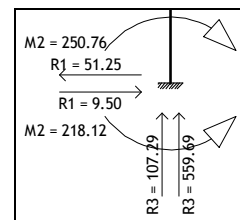
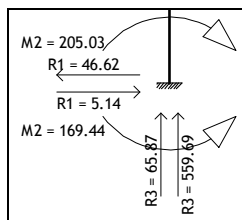
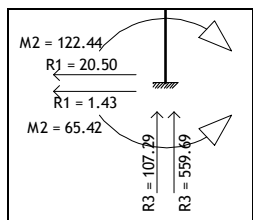
$$u_{\max} = 62,65 \text{ mm} < u_{\text{dop}} = 70,0 \text{ mm} = 10500,0\text{mm} / 300$$

2)

$$\Delta u_{\max} = 10,2 \text{ mm} \approx 10,0 \text{ mm} = \Delta u_{\text{dop}}$$

3.2.6

1) (POS GS2)



$$\frac{M_{\max}^I}{\dagger_{\text{dop}}^I} = \frac{122,44}{16,0} = 7,65$$

$$\frac{M_{\max}^{II}}{\dagger_{\text{dop}}^{II}} = \frac{205,03}{18,0} = 11,39$$

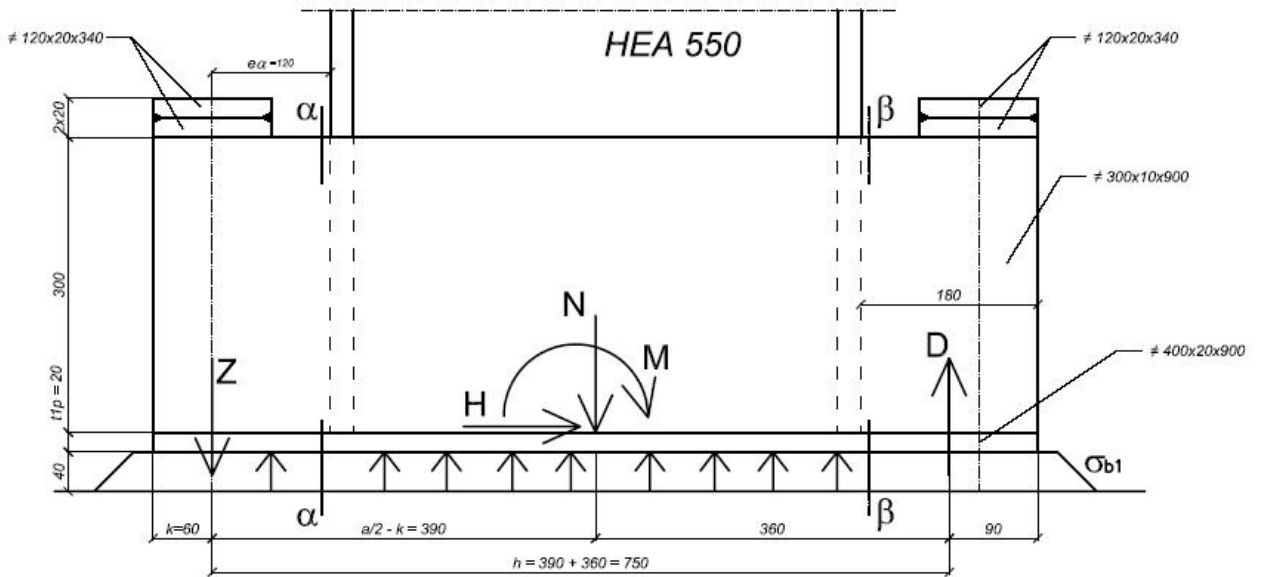
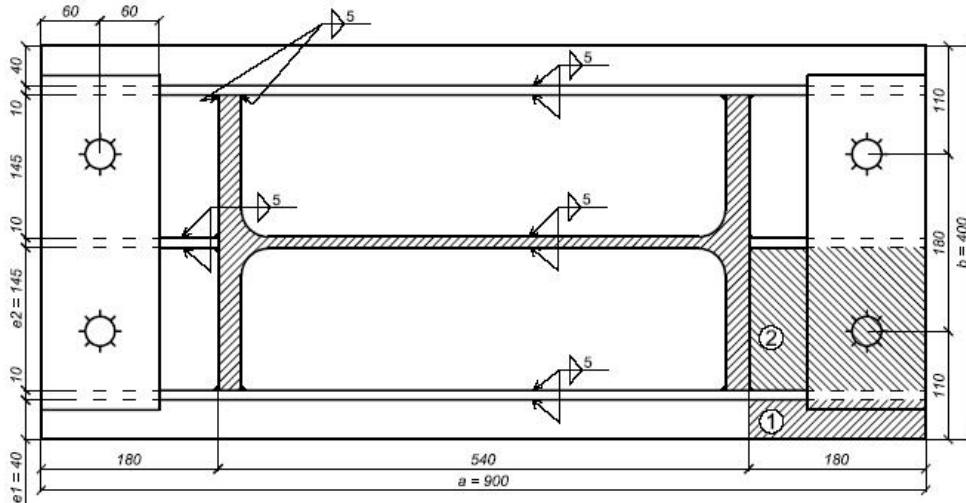
$$\frac{M_{\max}^{III}}{\dagger_{\text{dop}}^{III}} = \frac{250,76}{20,0} = 12,54$$



( + ; ++ - + )

= 217,81 kNm

N = 217,49 kN



a = 0,90 m  
 b = 0,40 m  
 k = 0,06 m

) : Z D, (

h = 0,750 m

Z :

$$Z = \frac{1}{h} \times (M - N \times 0,345) = \frac{1}{0,750} \times (217,81 - 217,49 \times 0,360) = 186,0 \text{ kN}$$

2 30...5.6 :

$$A_s = 5,61 \text{ cm}^2$$

:

$$\tau_t = \frac{Z/2}{A_s} = \frac{186,0/2}{5,61} = 16,58 \frac{\text{kN}}{\text{cm}^2} < \tau_{t,dop}^{III}$$

t,dop

DIN 18800 ,

5.6 :

$$\tau_{t,dop}^I = 15,0 \frac{\text{kN}}{\text{cm}^2}$$

$$\tau_{t,dop}^{II} = 17,0 \frac{\text{kN}}{\text{cm}^2}$$

$$\tau_{t,dop}^{III} = 19,0 \frac{\text{kN}}{\text{cm}^2}$$

:

$$\min l_a = \frac{Z}{2} \times \frac{1}{d \times f \times \tau_p} = \frac{186,0}{2} \times \frac{1}{3,0 \times f \times 0,11} = 89,70 \text{ cm}$$

:

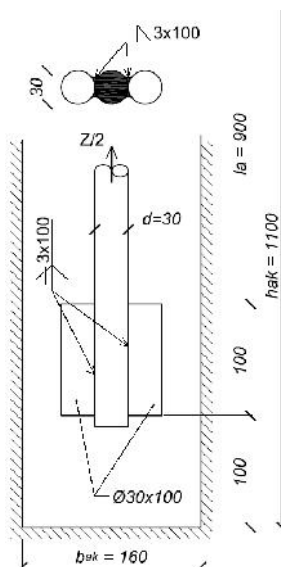
$$\max l_a \approx 30 \times d = 30 \times 3,0 = 90,0 \text{ cm}$$

a

**l<sub>a</sub> = 90 cm.**

:

4 × 3 × 100 mm.



$$V_{II} = \frac{Z/2}{4 \times a_w \times l_w} = \frac{186,0/2}{4 \times 0,3 \times (10,0 - 2 \times 0,3)} = 8,24 \frac{\text{kN}}{\text{cm}^2} < \tau_{w,dop}$$

MB30.

$$e_{az} = 180\text{mm} < 7,5 \times d = 7,5 \times 30 = 225\text{mm}$$

2 30...5.6

$$b_{ak} \approx 2,5 \times d + 80 = 2,5 \times 30 + 80 = 155 \rightarrow 160\text{mm}$$

$$l_{ak} \approx e_{az} + 2 \times \frac{b_{ak}}{2} = 180 + 2 \times \frac{160}{2} = 340\text{mm}$$

$$h_{ak} = l_a + l_w + \Delta l = 900 + 100 + 100 = 1100\text{mm}$$

o 110 cm,

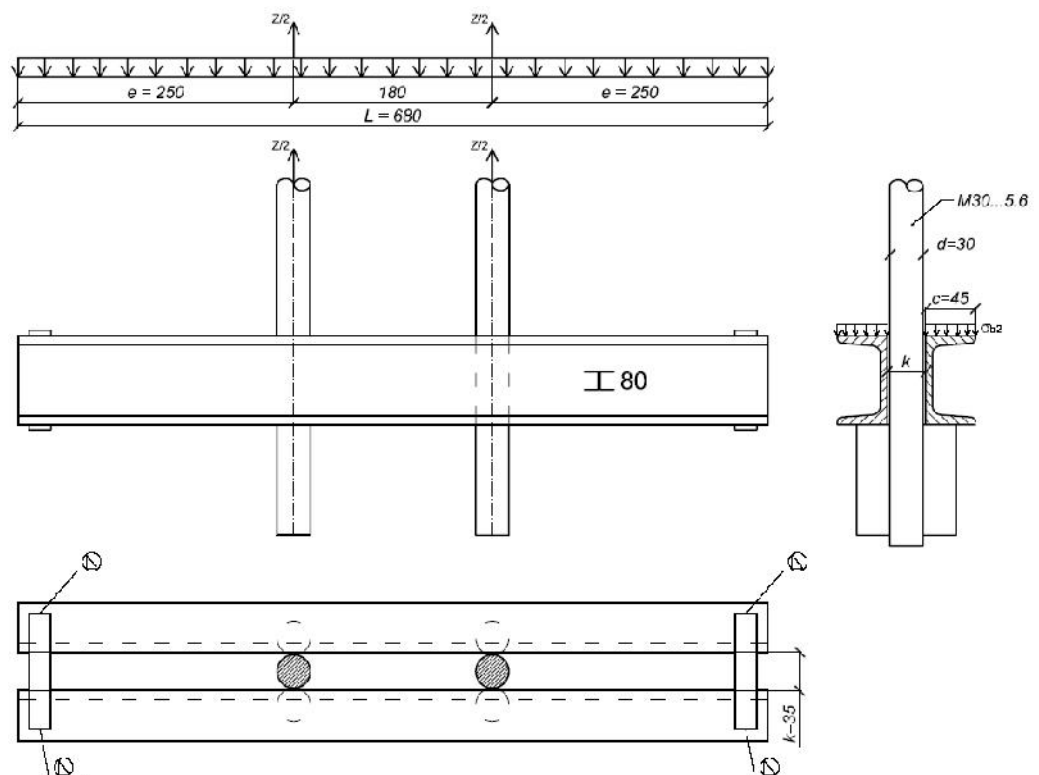
161 34 cm.

MB30

4 cm.

$$e \approx 5,5 \times d + \frac{b_{ak}}{2} = 5,5 \times 30 + \frac{160}{2} = 245\text{mm} \rightarrow 250\text{mm}$$

$$k \approx 1,17 \times d = 1,17 \times 30 = 35,1\text{mm} \rightarrow 35\text{mm}$$



$$\max M = \frac{Z}{L} \times \frac{e^2}{2} = \frac{186,0}{68,0} \times \frac{25,0^2}{2} = 855 \text{ kNcm}$$

$$W_{pot} = \frac{\max M}{\tau_{dop}^{III}} = \frac{855,0}{20,0} = 42,8 \text{ cm}^3$$

**2U 80x80x8**

$$W_y = 2 \times 26,5 = 53,0 \text{ cm}^3$$

$$\tau_{\max} = \frac{\max M}{W_y} = \frac{855,0}{53,0} = 16,1 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}^{III}$$

**= 51,3 kN (**

4 30...5.6,

$$\tau = \frac{T}{4} \times \frac{1}{\frac{d^2 \times f}{4}} = \frac{51,3}{4} \times \frac{1}{\frac{3,0^2 \times f}{4}} = 1,81 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}$$

$$\tau_b = \frac{T}{4} \times \frac{1}{d \times t_{1p}} = \frac{51,3}{4} \times \frac{1}{3,0 \times 2,0} = 2,14 \frac{\text{kN}}{\text{cm}^2} < 30,5 \frac{\text{kN}}{\text{cm}^2} = \tau_{b,dop}$$

$$\tau_u = \sqrt{\tau_t^2 + 2\tau^2} = \sqrt{16,58^2 + 2 \times 1,81^2} = 16,78 \frac{\text{kN}}{\text{cm}^2} < 20,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{u,dop}^{III}$$

1)

**382 (**

**= 245,24 kNm**

**N = 559,69 kN**

$$D = \frac{1}{4} \times [M + N \times (h - 0,360)] = \frac{1}{4} \times [245,24 + 559,69 \times (0,750 - 0,360)] = 115,9 \text{ kN}$$

$$\tau_{b1} = \frac{D}{18,0 \times b} = \frac{115,9}{18,0 \times 40,0} = 0,16 \frac{kN}{cm^2} < 0,80 \frac{kN}{cm^2} = \tau_{b,dop} \rightarrow MB30$$

**8,0 MPa,**  
MB30.

2)

$$\tau_{b2} = \frac{Z}{2 \times c \times L} = \frac{186,0}{2 \times 4,5 \times 68,0} = 0,30 \frac{kN}{cm^2} < 0,80 \frac{kN}{cm^2} = \tau_{b,dop} \rightarrow MB30$$

1)

( ) :

$$\begin{aligned} N_{\max} &= 559,69 \text{ kN} \\ T_{\max} &= 51,25 \text{ kN} \\ M_{\max} &= 250,76 \text{ kNm} \end{aligned}$$

$$\begin{aligned} A_w &= 68,0 \text{ cm}^2 & I_{y,w} &= 12406 \text{ cm}^4 \\ A &= 212,0 \text{ cm}^2 & I_y &= 111900 \text{ cm}^4 \end{aligned}$$

$$N_w = N_{\max} \times \frac{A_w}{A} = 559,69 \times \frac{68,0}{212,0} = 179,5 \text{ kN}$$

$$M_w = M_{\max} \times \frac{I_w}{I} = 250,76 \times \frac{12406}{111900} = 27,8 \text{ kNm}$$

$$T_w = T_{\max} = 51,25 \text{ kN}$$

$$N_f = N_{\max} - N_w = 559,69 - 179,5 = 380,19 \text{ kN}$$

$$M_f = M_{\max} - M_w = 250,76 - 27,8 = 222,96 \text{ kNm}$$

$$T_f = 0$$

$$a_w = 5 \text{ mm}$$

$$A_w = 2 \times 0,5 \times 43,8 = 43,8 \text{ cm}^2$$

$$W_w = 2 \times 0,5 \times \frac{43,8^2}{6} = 320 \text{ cm}^3$$

$$V_{II} = \frac{T_w}{A_w} = \frac{51,25}{43,8} = 1,17 \frac{kN}{cm^2}$$

$$n = \frac{N_w}{A_w} + \frac{M_w}{W_w} = \frac{179,5}{43,8} + \frac{27,8 \times 100}{320} = 12,79 \frac{kN}{cm^2}$$

$$\tau_u = \sqrt{n^2 + V_{II}^2} = \sqrt{12,79^2 + 1,17^2} = 12,84 \frac{kN}{cm^2} < \tau_{w,dop}^{III}$$

$$a_w = 5 \text{ mm}$$

$$S = \frac{N_f}{8} + \frac{M_f}{8 \times \frac{d}{2}} = \frac{381,19}{8} + \frac{222,96 \times 100}{8 \times \frac{54,0}{2}} = 150,8 kN$$

$$V_{II} = \frac{S}{a_w \times l_w} = \frac{150,8}{0,5 \times 30,0} = 10,1 \frac{kN}{cm^2} < \tau_{w,dop}$$

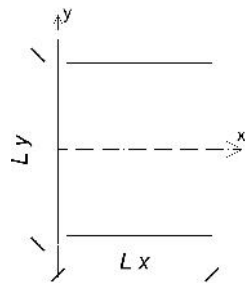
① ② (  $t_{1p}$  79).

① 1 cm :

$$M_1 = \tau_{b1} \times \frac{e_1^2}{2} = 0,16 \times \frac{4,0^2}{2} = 1,28 \frac{kNcm}{cm}$$

②  $m_y$

( ).



$l_x/l_y$	0,50	0,60	0,70	0,80	0,90	1,00	1,20	1,40	2,00	>2,00
<b>k</b>	0,06	0,074	0,088	0,097	0,107	0,112	0,120	0,126	0,132	0,133

$$l_x = 180 \text{ mm} \quad l_y = 145 \text{ mm}$$

$$\frac{l_x}{l_y} = \frac{180}{145} = 1,241 \rightarrow k = 0,122$$

$$m_y = k \times l_y^2 \times \tau_{b1} = 0,122 \times 14,5^2 \times 0,16 = 4,10 kNcm / cm^1$$

$$\max M = m_y = 4,10 \text{ kNcm/cm}^1$$

:

$$t_{1p} = \sqrt{\frac{6 \times \max M}{\tau_{dop}}} = \sqrt{\frac{6 \times 4,10}{20}} = 1,1 \text{ cm}$$

20 mm.

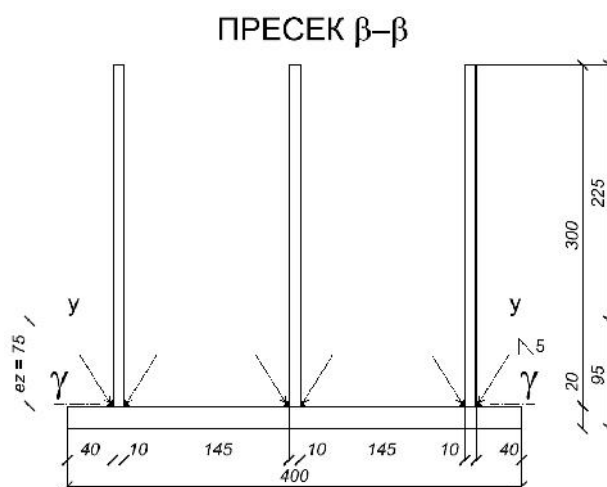
$$\alpha-\alpha = Z = 186,0 \text{ kN}$$

$$M_{\alpha-\alpha} = Z \times e_{\alpha} = 186,0 \times 12,0 = 2232 \text{ kNcm}$$

$$\beta-\beta = 18,0 \times 40,0 \times b_1$$

$$\beta-\beta = 720,0 \times 0,16 = 115,2 \text{ kN}$$

$$M_{\beta-\beta} = 115,2 \times 18,0^2 / 2 = 18662 \text{ kNcm}$$



$$= 3 \times 1,0 \times 30,0 + 40,0 \times 2,0 = 170 \text{ cm}^2$$

$$S_{y-y} = 3 \times 1,0 \times 30,0 \times 15,0 - 40,0 \times 2,0 \times 1,0 = 1270 \text{ cm}^3$$

$$e_z = \frac{S_{x-x}}{A} = \frac{1270,0}{170,0} = 7,5 \text{ cm}$$

$$I_{x-x} = 3 \times \frac{1,0 \times 30,0^3}{3} + \frac{40,0 \times 2,0^3}{3} = 27107 \text{ cm}^4$$

$$I_y = I_{x-x} - A \times e_z^2 = 27107 - 170,0 \times 7,5^2 = 25832 \text{ cm}^4$$

:

$$\tau_s \approx \frac{T_{s-s}}{3 \times 1,0 \times 30,0} = \frac{115,2}{90,0} = 1,28 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}$$

$$\tau_{s,G} = \frac{M_{s-s}}{I_y} \times (30,0 - e_z) = \frac{18662}{25832} \times (30,0 - 7,5) = 16,25 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}^{III}$$

$$\tau_{s,D} = \frac{M_{s-s}}{I_y} \times (e_z + 2,0) = \frac{18662}{25832} \times (7,5 + 2,0) = 6,86 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}^{III}$$

$$\tau_u = \sqrt{\tau_{s,G}^2 + 3\tau_s^2} = \sqrt{16,25^2 + 3 \times 1,28^2} = 16,40 \frac{\text{kN}}{\text{cm}^2} < \tau_{u,dop}^{III}$$

$a_w = 5 \text{ mm}, \quad 6 \quad ( \quad 85.):$

y-y :

$$S_{y,p} = 40,0 \times 2,0 \times (7,5 + 1,0) = 680 \text{ cm}^3$$

$$V_{II} = \frac{T_{s-s} \times S_{y,p}}{I_y \times 6 \times a_w} = \frac{115,2 \times 680,0}{25832 \times 6 \times 0,5} = 1,01 \frac{\text{kN}}{\text{cm}^2}$$

$$n = \frac{T_{s-s}}{6 \times a_w \times l_w} = \frac{115,2}{6 \times 0,5 \times 18,0} = 2,13 \frac{\text{kN}}{\text{cm}^2}$$

$$t_u = \sqrt{n^2 + V_{II}^2} = \sqrt{2,13^2 + 1,01^2} = 2,36 \frac{\text{kN}}{\text{cm}^2} < t_{w,dop}$$

30...5.6

Ø32

$b_p = 120 \text{ mm}.$

$$M = \frac{Z}{2} \times \frac{\left(\frac{b - e_{az}}{2} - e_1 - t\right) \times \left(\frac{e_{az} - t}{2}\right)}{e_2} = \frac{186,0}{2} \times \frac{\left(\frac{40,0 - 18,0}{2} - 4,0 - 1,0\right) \times \left(\frac{18,0 - 1,0}{2}\right)}{14,5}$$

$$= 327,0 \text{ kNcm}$$

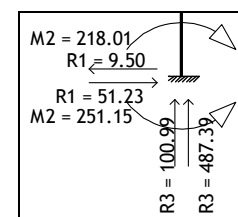
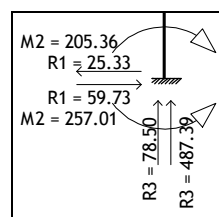
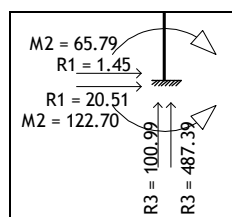
$$t_{pl} = \sqrt{\frac{6 \times M}{t_{dop} \times (b_p - d_1)}} = \sqrt{\frac{6 \times 327,0}{20,0 \times (12,0 - 3,2)}} = 3,34 \text{ cm}$$

**2 01201 201 340**

U

$$t_{pl} = 2 \hat{=} 20 = 40 \text{ mm}$$

2) (POS GS1)





$$\frac{M_{\max}^I}{\dagger_{dop}^I} = \frac{122,70}{16,0} = 7,67$$

$$\frac{M_{\max}^{II}}{\dagger_{dop}^{II}} = \frac{257,01}{18,0} = 14,28$$

$$\frac{M_{\max}^{III}}{\dagger_{dop}^{III}} = \frac{251,15}{20,0} = 12,56$$

208

$$( \quad + \quad - + \quad + \quad + )$$

$$= 205,36 \text{ kNm}$$

$$N = 190,84 \text{ kN}$$

Z :

$$Z = \frac{1}{h} \times (M - N \times 0,345) = \frac{1}{0,750} \times (205,36 - 190,84 \times 0,360) = 182,2 \text{ kN}$$

:

$$\dagger_t = \frac{Z/2}{A_s} = \frac{182,2/2}{5,61} = 16,24 \frac{\text{kN}}{\text{cm}^2} < 17,0 \frac{\text{kN}}{\text{cm}^2} = \dagger_{t,dop}^{II} (DIN18800)$$

o - 110 cm,

161 34 cm.

MB30

4 cm.

$$e \approx 5,5 \times d + \frac{b_{ak}}{2} = 5,5 \times 30 + \frac{160}{2} = 245 \text{ mm} \rightarrow 250 \text{ mm}$$

$$k \approx 1,17 \times d = 1,17 \times 30 = 35,1 \text{ mm} \rightarrow 35 \text{ mm}$$

- :

$$\max M = \frac{Z}{L} \times \frac{e^2}{2} = \frac{182,2}{68,0} \times \frac{25,0^2}{2} = 838 \text{ kNcm}$$

$$\tau_{\max} = \frac{\max M}{W_y} = \frac{838,0}{53,0} = 15,8 \frac{kN}{cm^2} < 18,0 \frac{kN}{cm^2} = \tau_{dop} \quad \text{II}$$

$$= 59,7 \text{ kN ( )}$$

$$\tau = \frac{T}{4} \times \frac{1}{\frac{d^2 \times f}{4}} = \frac{59,7}{4} \times \frac{1}{\frac{3,0^2 \times f}{4}} = 2,11 \frac{kN}{cm^2} < \tau_{dop}$$

$$\tau_b = \frac{T}{4} \times \frac{1}{d \times t_{1p}} = \frac{59,7}{4} \times \frac{1}{3,0 \times 2,0} = 2,49 \frac{kN}{cm^2} < 30,5 \frac{kN}{cm^2} = \tau_{b,dop}$$

$$\tau_u = \sqrt{\tau_t^2 + 2\tau^2} = \sqrt{16,24^2 + 2 \times 2,11^2} = 16,51 \frac{kN}{cm^2} < \tau_{u,dop} \quad \text{II}$$

1) :

$$+ \quad -) \quad 289 \quad + \quad + \quad - \quad + \quad -$$

$$= 256,36 \text{ kNm}$$

$$N = 476,56 \text{ kN}$$

( 79.):

$$D = \frac{1}{4} \times [M + N \times (h - 0,360)] = \frac{1}{4} \times [256,36 + 476,56 \times (0,750 - 0,360)] = 110,6 \text{ kN}$$

$$\tau_{b1} = \frac{D}{18,0 \times b} = \frac{110,6}{18,0 \times 40,0} = 0,15 \frac{kN}{cm^2} < 0,80 \frac{kN}{cm^2} = \tau_{b,dop} \rightarrow MB30$$

2) - :

$$\tau_{b2} = \frac{Z}{2 \times c \times L} = \frac{182,2}{2 \times 4,5 \times 68,0} = 0,30 \frac{kN}{cm^2} < 0,80 \frac{kN}{cm^2} = \tau_{b,dop} \rightarrow MB30$$

1)

( , ):

$$N_{\max} = 487,39 \text{ kN}$$

$$T_{\max} = 59,73 \text{ kN}$$

$$M_{\max} = 257,01 \text{ kNm}$$

$$\begin{aligned} A_w &= 68,0 \text{ cm}^2 & I_{y,w} &= 12406 \text{ cm}^4 \\ A &= 212,0 \text{ cm}^2 & I_y &= 111900 \text{ cm}^4 \end{aligned}$$

$$N_w = N_{\max} \times \frac{A_w}{A} = 487,39 \times \frac{68,0}{212,0} = 156,3 \text{ kN}$$

$$M_w = M_{\max} \times \frac{I_w}{I} = 257,01 \times \frac{12406}{111900} = 28,5 \text{ kNm}$$

$$T_w = T_{\max} = 59,73 \text{ kN}$$

$$N_f = N_{\max} - N_w = 487,39 - 156,3 = 331,09 \text{ kN}$$

$$M_f = M_{\max} - M_w = 257,01 - 28,5 = 228,51 \text{ kNm}$$

$$T_f = 0$$

:

$$V_{II} = \frac{T_w}{A_w} = \frac{59,73}{43,8} = 1,36 \frac{\text{kN}}{\text{cm}^2}$$

$$n = \frac{N_w}{A_w} + \frac{M_w}{W_w} = \frac{156,3}{43,8} + \frac{28,5 \times 100}{320} = 12,47 \frac{\text{kN}}{\text{cm}^2}$$

$$\tau_u = \sqrt{n^2 + V_{II}^2} = \sqrt{12,47^2 + 1,36^2} = 12,54 \frac{\text{kN}}{\text{cm}^2} < 13,5 \frac{\text{kN}}{\text{cm}^2} = \tau_{w,dop}$$

:

$$S = \frac{N_f}{8} + \frac{M_f}{8 \times \frac{d}{2}} = \frac{331,09}{8} + \frac{228,51 \times 100}{8 \times \frac{54,0}{2}} = 147,2 \text{ kN}$$

$$V_{II} = \frac{S}{a_w \times l_w} = \frac{147,2}{0,5 \times 30,0} = 9,8 \frac{\text{kN}}{\text{cm}^2} < \tau_{w,dop}$$

$$M_1 = \tau_{b1} \times \frac{e_1^2}{2} = 0,15 \times \frac{4,0^2}{2} = 1,20 \frac{\text{kNcm}}{\text{cm}}$$

$$m_y = k \times l_y^2 \times \tau_{b1} = 0,122 \times 14,5^2 \times 0,15 = 3,85 \text{ kNcm/cm}^1$$

$$\max M = m_y = 3,85 \text{ kNcm/cm}^1$$

:

$$t_{1p} = \sqrt{\frac{6 \times \max M}{\tau_{dop}}} = \sqrt{\frac{6 \times 3,85}{18,0}} = 1,13 \text{ cm}$$

20 mm.

$$\alpha\text{-}\alpha = Z = 182,2 \text{ kN}$$

$$M_{\alpha\text{-}\alpha} = Z \times e_{\alpha} = 182,2 \times 12,0 = 2187 \text{ kNcm}$$

$$\beta\text{-}\beta = 18,0 \times 40,0 \times b_1$$

$$\beta\text{-}\beta = 720,0 \times 0,15 = 108,0 \text{ kN}$$

$$M_{\beta\text{-}\beta} = 108,0 \times 18,0^2/2 = 17496 \text{ kNcm}$$

$$\dagger_s \approx \frac{T_{s\text{-}s}}{3 \times 1,0 \times 30,0} = \frac{108,0}{90,0} = 1,20 \frac{\text{kN}}{\text{cm}^2} < \dagger_{dop}$$

$$\dagger_{s,G} = \frac{M_{s\text{-}s}}{I_y} \times (30,0 - e_z) = \frac{17496}{25832} \times (30,0 - 7,5) = 15,24 \frac{\text{kN}}{\text{cm}^2} < \dagger_{dop}^{II}$$

$$\dagger_{s,D} = \frac{M_{s\text{-}s}}{I_y} \times (e_z + 2,0) = \frac{17496}{25832} \times (7,5 + 2,0) = 6,43 \frac{\text{kN}}{\text{cm}^2} < \dagger_{dop}^{II}$$

$$\dagger_u = \sqrt{\dagger_{s,G}^2 + 3\dagger_s^2} = \sqrt{15,24^2 + 3 \times 1,20^2} = 15,38 \frac{\text{kN}}{\text{cm}^2} < \dagger_{u,dop}^{II}$$

$$V_{II} = \frac{T_{s\text{-}s} \times S_{y,p}}{I_y \times 6 \times a_w} = \frac{108,0 \times 680,0}{25832 \times 6 \times 0,5} = 0,95 \frac{\text{kN}}{\text{cm}^2}$$

$$n = \frac{T_{s\text{-}s}}{6 \times a_w \times l_w} = \frac{108,0}{6 \times 0,5 \times 18,0} = 2,00 \frac{\text{kN}}{\text{cm}^2}$$

$$\dagger_u = \sqrt{n^2 + V_{II}^2} = \sqrt{2,00^2 + 0,95^2} = 2,21 \frac{\text{kN}}{\text{cm}^2} < \dagger_{w,dop}$$

$$M = \frac{Z}{2} \times \frac{\left(\frac{b - e_{az}}{2} - e_1 - t\right) \times \left(\frac{e_{az} - t}{2}\right)}{e_2} = \frac{182,2}{2} \times \frac{\left(\frac{40,0 - 18,0}{2} - 4,0 - 1,0\right) \times \left(\frac{18,0 - 1,0}{2}\right)}{14,5}$$

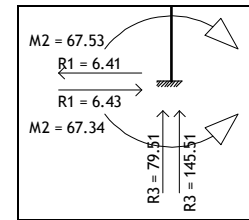
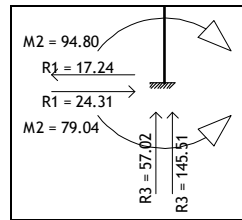
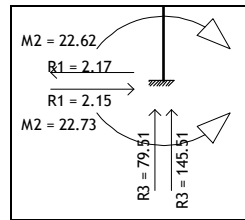
$$= 320,0 \text{ kNcm}$$

$$t_{pl} = \sqrt{\frac{6 \times M}{\dagger_{dop} \times (b_p - d_1)}} = \sqrt{\frac{6 \times 320,0}{18,0 \times (12,0 - 3,2)}} = 3,48 \text{ cm}$$

U

$$t_{pl} = 2 \hat{=} 20 = 40 \text{ mm}$$

3) (POS GS3)



$$\frac{M_{\max}^I}{\dagger_{dop}^I} = \frac{22,73}{16,0} = 1,42$$

$$\frac{M_{\max}^{II}}{\dagger_{dop}^{II}} = \frac{94,80}{18,0} = 5,27$$

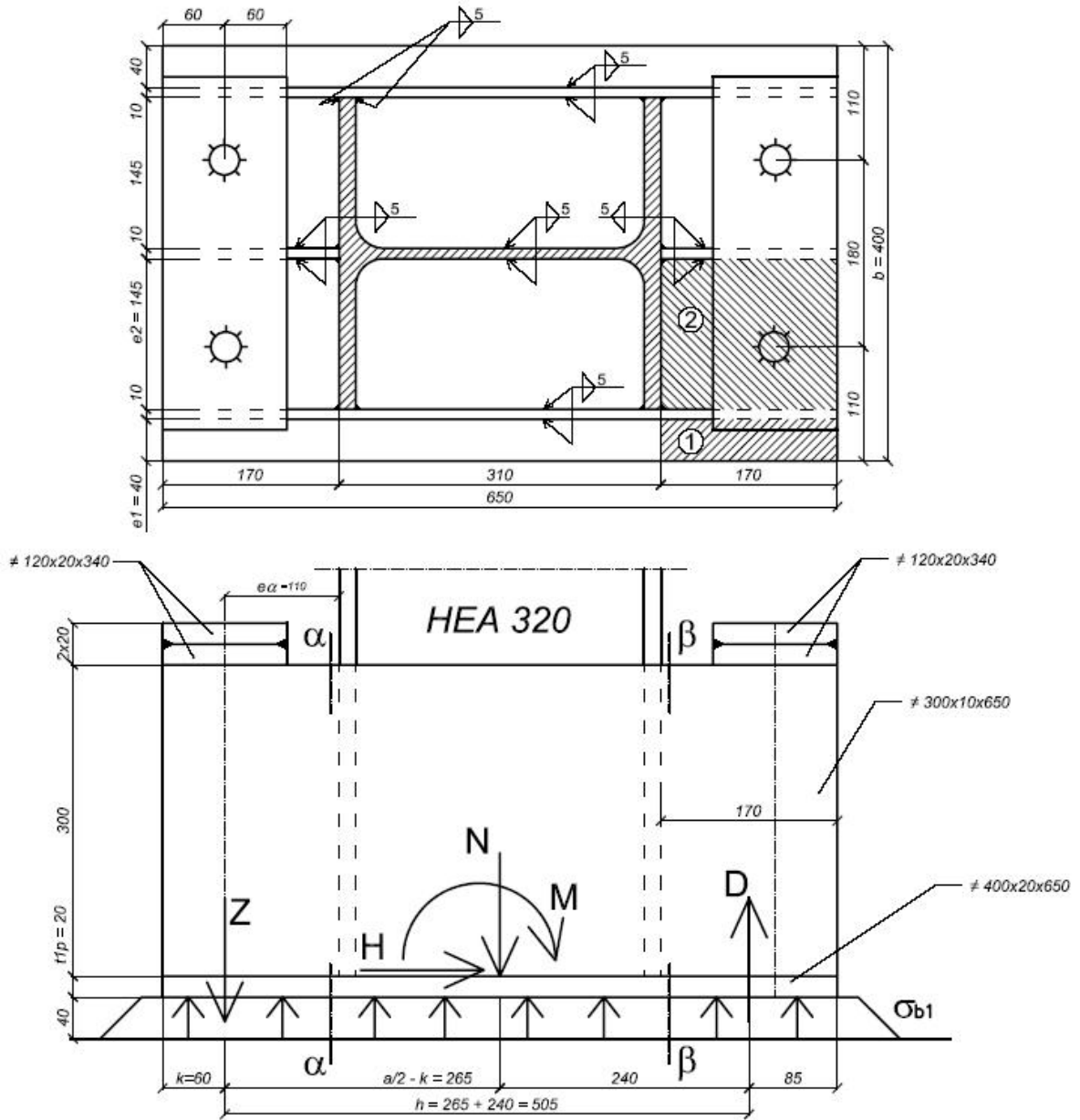
$$\frac{M_{\max}^{III}}{\dagger_{dop}^{III}} = \frac{67,53}{20,0} = 3,38$$

360

( + - + - )

$$= 94,80 \text{ kNm}$$

$$N = 68,68 \text{ kN}$$



**a = 0,65 m**  
**b = 0,40 m**  
**k = 0,05 m**

$Z = \frac{1}{h} \times (M - N \times 0,345)$        $D,$       (

**h = 0,505 m**

$Z$       :

$$Z = \frac{1}{h} \times (M - N \times 0,345) = \frac{1}{0,505} \times (94,80 - 68,68 \times 0,240) = 155,1kN$$

## 2 30...5.6

$$A_s = 5,61 \text{ cm}^2$$

$$\tau_t = \frac{Z/2}{A_s} = \frac{155,1/2}{5,61} = 13,82 \frac{\text{kN}}{\text{cm}^2} < \tau_{t,dop}^{II}$$

$\tau_{t,dop}$

DIN 18800 ,

5.6 :

$$\tau_{t,dop}^I = 15,0 \frac{\text{kN}}{\text{cm}^2}$$

$$\tau_{t,dop}^{II} = 17,0 \frac{\text{kN}}{\text{cm}^2}$$

$$\tau_{t,dop}^{III} = 19,0 \frac{\text{kN}}{\text{cm}^2}$$

$$\min l_a = \frac{Z}{2} \times \frac{1}{d \times f \times \tau_p} = \frac{155,1}{2} \times \frac{1}{3,0 \times f \times 0,11} = 74,80 \text{ cm}$$

$$\max l_a \approx 30 \times d = 30 \times 3,0 = 90,0 \text{ cm}$$

$$a \quad \mathbf{l_a = 90 \text{ cm.}}$$

$$4 \times 3 \times 100 \text{ mm.}$$

$$V_{II} = \frac{Z/2}{4 \times a_w \times l_w} = \frac{155,1/2}{4 \times 0,3 \times (10,0 - 2 \times 0,3)} = 6,88 \frac{\text{kN}}{\text{cm}^2} < \tau_{w,dop}$$

MB30.

$$e_{az} = 180 \text{ mm} < 7,5 \times d = 7,5 \times 30 = 225 \text{ mm}$$

2 30...5.6

o

161 34 cm.

MB30

4 cm.

110 cm,

$$\max M = \frac{Z}{L} \times \frac{e^2}{2} = \frac{155,1}{68,0} \times \frac{25,0^2}{2} = 713 \text{ kNcm}$$

$$\tau_{\max} = \frac{\max M}{W_y} = \frac{713,0}{53,0} = 13,45 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop} \text{ II}$$

$$= 24,31 \text{ kN ($$

)

$$\tau = \frac{T}{4} \times \frac{1}{d^2 \times f} = \frac{24,31}{4} \times \frac{1}{3,0^2 \times f} = 0,86 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}$$

$$\tau_b = \frac{T}{4} \times \frac{1}{d \times t_{1p}} = \frac{24,31}{4} \times \frac{1}{3,0 \times 2,0} = 1,01 \frac{\text{kN}}{\text{cm}^2} < 30,5 \frac{\text{kN}}{\text{cm}^2} = \tau_{b,dop}$$

:

$$\tau_u = \sqrt{\tau_t^2 + 2\tau^2} = \sqrt{13,82^2 + 2 \times 0,86^2} = 13,87 \frac{\text{kN}}{\text{cm}^2} < \tau_{u,dop} \text{ II}$$

1)

:

$$+ \quad 361 \text{ (} \quad + \quad + \quad - + \quad - \quad : \quad -$$

$$= 94,45 \text{ kNm}$$

$$N = 134,68 \text{ kN}$$

:

$$D = \frac{1}{4} \times [M + N \times (h - 0,240)] = \frac{1}{4} \times [94,45 + 134,68 \times (0,505 - 0,240)] = 32,5 \text{ kN}$$

:

$$\tau_{b1} = \frac{D}{17,0 \times b} = \frac{32,5}{17,0 \times 40,0} = 0,05 \frac{\text{kN}}{\text{cm}^2} < 0,80 \frac{\text{kN}}{\text{cm}^2} = \tau_{b,dop} \rightarrow MB30$$

2)

- :

$$\tau_{b2} = \frac{Z}{2 \times c \times L} = \frac{155,1}{2 \times 4,5 \times 68,0} = 0,25 \frac{\text{kN}}{\text{cm}^2} < 0,80 \frac{\text{kN}}{\text{cm}^2} = \tau_{b,dop} \rightarrow MB30$$



1)

( ) :

$$N_{\max} = 145,51 \text{ kN}$$

$$T_{\max} = 24,31 \text{ kN}$$

$$M_{\max} = 94,80 \text{ kNm}$$

:

$$A_w = 31,0 \text{ cm}^2 \quad I_{y,w} = 1629 \text{ cm}^4$$

$$A = 124,0 \text{ cm}^2 \quad I_y = 22930 \text{ cm}^4$$

$$N_w = N_{\max} \times \frac{A_w}{A} = 145,51 \times \frac{31,0}{124,0} = 36,4 \text{ kN}$$

$$M_w = M_{\max} \times \frac{I_w}{I} = 94,80 \times \frac{1629}{22930} = 6,73 \text{ kNm}$$

$$T_w = T_{\max} = 24,31 \text{ kN}$$

$$N_f = N_{\max} - N_w = 145,51 - 36,4 = 109,11 \text{ kN}$$

$$M_f = M_{\max} - M_w = 94,80 - 6,73 = 88,07 \text{ kNm}$$

$$T_f = 0$$

$$a_w = 5 \text{ mm}$$

:

$$A_w = 2 \times 0,5 \times 22,5 = 22,5 \text{ cm}^2$$

$$W_w = 2 \times 0,5 \times \frac{22,5^2}{6} = 84 \text{ cm}^3$$

$$V_{II} = \frac{T_w}{A_w} = \frac{24,31}{22,5} = 1,08 \frac{\text{kN}}{\text{cm}^2}$$

$$n = \frac{N_w}{A_w} + \frac{M_w}{W_w} = \frac{36,4}{22,5} + \frac{6,73 \times 100}{84} = 9,63 \frac{\text{kN}}{\text{cm}^2}$$

$$\tau_u = \sqrt{n^2 + V_{II}^2} = \sqrt{9,63^2 + 1,08^2} = 9,69 \frac{\text{kN}}{\text{cm}^2} < \tau_{w,dop}''$$

$$a_w = 5 \text{ mm}$$

:

:

$$S = \frac{N_f}{8} + \frac{M_f}{8 \times \frac{d}{2}} = \frac{109,11}{8} + \frac{88,07 \times 100}{8 \times \frac{31,0}{2}} = 84,7 \text{ kN}$$

$$V_{II} = \frac{S}{a_w \times l_w} = \frac{84,7}{0,5 \times 30,0} = 5,65 \frac{kN}{cm^2} < \dagger_{w,dop}$$

①

1 cm :

$$M_1 = \dagger_{b1} \times \frac{e_1^2}{2} = 0,05 \times \frac{4,0^2}{2} = 0,4 \frac{kNcm}{cm}$$

$I_x/I_y$	0,50	0,60	0,70	0,80	0,90	1,00	1,20	1,40	2,00	>2,00
<b>k</b>	0,06	0,074	0,088	0,097	0,107	0,112	0,120	0,126	0,132	0,133

$$l_x = 170 \text{ mm} \quad l_y = 145 \text{ mm}$$

$$\frac{l_x}{l_y} = \frac{170}{145} = 1,241 \rightarrow k = 0,119$$

$$m_y = k \times l_y^2 \times \dagger_{b1} = 0,119 \times 14,5^2 \times 0,05 = 1,25 kNcm / cm^1$$

$$\max M = m_y = 1,25 kNcm/cm^1$$

$$t_{1p} = \sqrt{\frac{6 \times \max M}{\dagger_{dop}}} = \sqrt{\frac{6 \times 1,25}{18}} = 0,64 cm$$

**20 mm.**

$$\alpha-\alpha = Z = 155,1 \text{ kN}$$

$$M_{\alpha-\alpha} = Z \times e_{\alpha} = 155,1 \times 11,0 = 1706 \text{ kNcm}$$

$$\beta-\beta = 17,0 \times 40,0 \times \dagger_{b1}$$

$$\beta-\beta = 680,0 \times 0,05 = 34,0 \text{ kN}$$

$$M_{\beta-\beta} = 34,0 \times 17,0^2 / 2 = 4913 \text{ kNcm}$$

$$= 3 \times 1,0 \times 30,0 + 40,0 \times 2,0 = 170 \text{ cm}^2$$

$$S_{\gamma-\gamma} = 3 \times 1,0 \times 30,0 \times 15,0 - 40,0 \times 2,0 \times 1,0 = 1270 \text{ cm}^3$$

$$e_z = \frac{S_{x-x}}{A} = \frac{1270,0}{170,0} = 7,5 cm$$

$$I_{x-x} = 3 \times \frac{1,0 \times 30,0^3}{3} + \frac{40,0 \times 2,0^3}{3} = 27107 cm^4$$

$$I_y = I_{x-x} - A \times e_z = 27107 - 170,0 \times 7,5 = 25832 \text{ cm}^4$$

$$\tau_s \approx \frac{T_{s-s}}{3 \times 1,0 \times 30,0} = \frac{115,2}{90,0} = 1,28 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}$$

$$\tau_{s,G} = \frac{M_{s-s}}{I_y} \times (30,0 - e_z) = \frac{18662}{25832} \times (30,0 - 7,5) = 16,25 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}^{III}$$

$$\tau_{s,D} = \frac{M_{s-s}}{I_y} \times (e_z + 2,0) = \frac{18662}{25832} \times (7,5 + 2,0) = 6,86 \frac{\text{kN}}{\text{cm}^2} < \tau_{dop}^{III}$$

$$\tau_u = \sqrt{\tau_{s,G}^2 + 3\tau_s^2} = \sqrt{16,25^2 + 3 \times 1,28^2} = 16,40 \frac{\text{kN}}{\text{cm}^2} < \tau_{u,dop}^{III}$$

:

$$a_w = 5 \text{ mm}, \quad 6 \quad :$$

y-y :

$$S_{y,p} = 40,0 \times 2,0 \times (7,5 + 1,0) = 680 \text{ cm}^3$$

$$V_{II} = \frac{T_{s-s} \times S_{y,p}}{I_y \times 6 \times a_w} = \frac{34,0 \times 680,0}{25832 \times 6 \times 0,5} = 0,30 \frac{\text{kN}}{\text{cm}^2}$$

$$n = \frac{T_{s-s}}{6 \times a_w \times l_w} = \frac{34,0}{6 \times 0,5 \times 17,0} = 0,67 \frac{\text{kN}}{\text{cm}^2}$$

$$\tau_u = \sqrt{n^2 + V_{II}^2} = \sqrt{0,67^2 + 0,3^2} = 0,73 \frac{\text{kN}}{\text{cm}^2} < \tau_{w,dop}$$

:

30...5.6

Ø32

b<sub>p</sub> = 120 mm.

$$M = \frac{155,1}{2} \times \frac{\left(\frac{40,0-18,0}{2} - 4,0 - 1,0\right) \times \left(\frac{18,0-1,0}{2}\right)}{14,5} = 273 \text{ kNcm}$$

$$t_{pl} = \sqrt{\frac{6 \times M}{\tau_{dop} \times (b_p - d_1)}} = \sqrt{\frac{6 \times 273,0}{18,0 \times (12,0 - 3,2)}} = 3,21 \text{ cm}$$

2 01201 201 340

U .

$$t_{pl} = 2 \hat{=} 20 = 40 \text{ mm}$$

## 4.

## 4.1

## (POS KS1)

$$\}_{max} = 300$$



$$l = \sqrt{275,0^2 + 300^2} = 407 \text{ cm}$$

L80 $\hat{I}$ 80 $\hat{I}$ 8

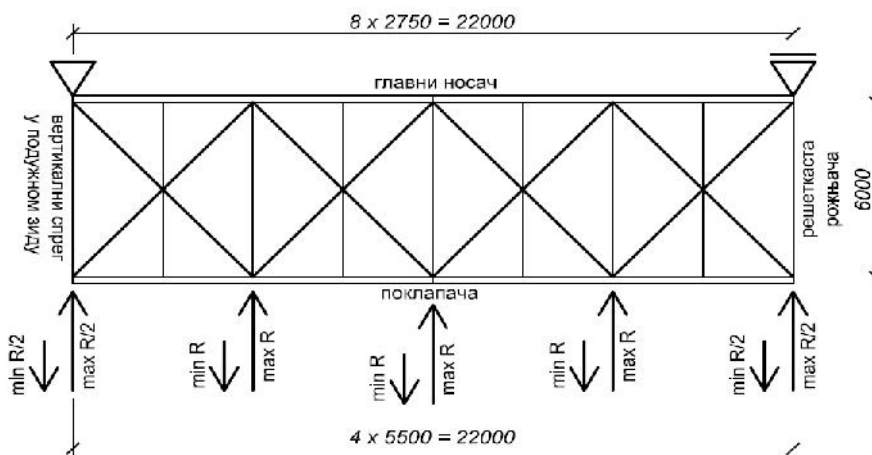
$$i_y = i_{min} = 1,55 \text{ cm}$$

$$\} = \frac{l_i}{i_y} = \frac{1,0 \times 407}{1,55} = 262,6 < 300 = \}_{max}$$

2 12...5.6

## 4.2

## (POS KS2)



4.2.1

$l = 22,0 \text{ m}$ ,

R (

).

maxR (

) ( 2.5):

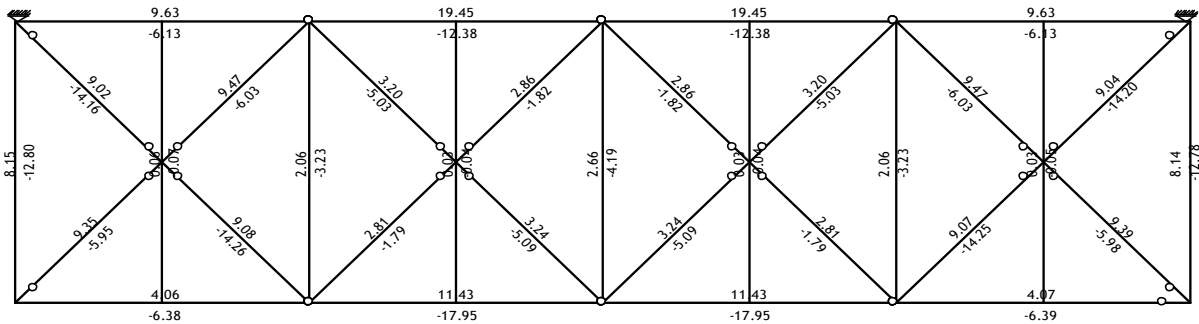
$\text{maxR} = 11,67 \text{ kN}$

minR (

) :

$\text{minR} = \text{maxR} \hat{=} 0,7/1,1 = 11,67 \hat{=} 0,7/1,1 = 7,43 \text{ kN}$

4.2.2



4.2.3

)

$l = 407 \text{ cm}$

$\text{min D} = 14,26 \text{ kN}$

$\text{max D} = 9,47 \text{ kN}$

$l_{iy} = l_{iz} = 1,0 \times 407,0 = 407 \text{ cm}$

**L90x90x9**

:

$i_{\text{min}} = i_{\eta} = 1,76 \text{ cm}$

$A = 15,50 \text{ cm}^2$

$\left. \begin{matrix} \text{max} \\ \text{min} \end{matrix} \right\} = \frac{l_i}{i_{\text{min}}} = \frac{407}{1,76} = 231,2 \Rightarrow \left. \begin{matrix} \text{max} \\ \text{v} \end{matrix} \right\} = \frac{231,2}{92,9} = 2,489$

$$\alpha = 0,489 \quad (\text{C})$$

$$s = 1 + r(\bar{\lambda} - 0,2) + \bar{\lambda}^2 = 1 + 0,489(2,489 - 0,2) + 2,489^2 = 8,314$$

$$t = \frac{2}{s + \sqrt{s^2 - 4}} = \frac{2}{8,314 + \sqrt{8,314^2 - 4 \times 2,489^2}} = 0,134$$

$$t_{i,dop} = t \times t_{dop} = 0,134 \times 16 = 2,14 \frac{kN}{cm^2}$$

\_\_\_\_\_ :

$$t_{\max} = \frac{\min D}{A} = \frac{14,26}{16,0} = 0,89 \frac{kN}{cm^2} < 2,14 \frac{kN}{cm^2} = t_{i,dop}$$

\_\_\_\_\_ :

$$t_{\max} = \frac{\max D}{A} = \frac{9,47}{16,0} = 0,59 \frac{kN}{cm^2} < 16,0 \frac{kN}{cm^2} = t_{dop}$$

) ( , IPE180, POS R)

( 2.7)

” ”

POS KS2,

: **min R = 4,19 kN**

$$: g + s = 0,50 + 1,00 = 1,50 \text{ kN/m}^2$$

$$: w = 0,44 \times (-0,5 + 0,2) = -0,132 \text{ kN/m}^2$$

$$k_{red} = \frac{g + s + w}{g + s} = \frac{1,50 - 0,132}{1,50} = 0,912$$

( ) :

$$M_{y,e} = k_{red} \times M_{y,e} = 0,912 \times 13,42 = 12,24 \text{ kNm}$$

$$M_{z,e} = 0,37 \text{ kNm}$$

$$N = 4,19 \text{ kN}$$

:

$$\theta = 1,748 \quad (\text{C})$$

## 3.2.1 JUS U.E7.096

:

$$k_{ny(z)} \times \bar{t}_N + k_{my} \times s_y \times \bar{t}_{My} + k_{mz} \times \bar{t}_{Mz} \leq \bar{t}_{dop}$$

$$: \quad l_z = 300 \text{ cm}$$

$$: \quad l_T = 600 \text{ cm}$$

$$r_y = 0,206 \text{ ( A)}$$

$$r_z = 0,339 \text{ ( B)}$$

$$\sigma_N = N_{\max}/A = 4,19/23,9 = 0,175 \text{ kN/cm}^2$$

$$\bar{t} = \frac{\bar{t}_N}{\bar{t}_{dop}} = \frac{0,175}{18,0} = 0,0097$$

$$k_{ny} = 1 + \frac{r_y \times (\bar{y}_y - 0,2)}{1 - \bar{y}_y^2 \times \bar{t}} = 1 + \frac{0,206 \times (0,870 - 0,2)}{1 - 0,870^2 \times 0,0097} = 1,139$$

$$k_{nz} = 1 + \frac{r_z \times (\bar{y}_z - 0,2)}{1 - \bar{y}_z^2 \times \bar{t}} = 1 + \frac{0,339 \times (1,575 - 0,2)}{1 - 1,575^2 \times 0,0097} = 1,478$$

$$: \quad k_n = \max\{k_{ny}; k_{nz}\} = \max\{1,139; 1,478\} = 1,478$$

$$k_{my} = \frac{s_y}{1 - \bar{y}_y^2 \times \bar{t}} = \frac{1,00}{1 - 0,870^2 \times 0,0097} = 1,007$$

$$k_{mz} = \frac{s_z}{1 - \bar{y}_z^2 \times \bar{t}} = \frac{1,00}{1 - 1,575^2 \times 0,0097} = 1,317$$

JUS U.E7.096:

$$1,478 \times 0,175 + 1,007 \times 1,748 \times \frac{12,24 \times 100}{146} + 1,317 \times \frac{0,37 \times 100}{22,2} = 17,21 \frac{\text{kN}}{\text{cm}^2} < 18,0 \frac{\text{kN}}{\text{cm}^2}$$

) ( **POS P, HEA140**)

( 2.2)

” ”

: **min P = 17,95 kN**

$$: \quad g + s = 0,60 + 1,00 = 1,60 \text{ kN/m}^2$$

$$: \quad w = 0,44 \times (-0,5 + 0,2) = -0,132 \text{ kN/m}^2$$

$$k_{red} = \frac{g + s + w}{g + s} = \frac{1,60 - 0,132}{1,60} = 0,918$$

$$M_{y,e} = k_{red} \times M_{y,e} = 0,918 \times 18,15 = 16,66 \text{ kNm}$$

$$N = 17,95 \text{ kN}$$

$$\theta = 24,0/22,72 = 1,056$$

### 3.2.1 JUS U.E7.096 ( z-z )

$$k_{ny(z)} \times \tau_N + k_{my} \times \tau_M \leq \tau_{dop}$$

$$: \quad l_z = 275 \text{ cm}$$

$$: \quad l_T = 550 \text{ cm}$$

$$r_y = 0,339 \text{ ( B)}$$

$$r_z = 0,489 \text{ ( C)}$$

$$\sigma_N = N_{max}/A = 17,95/31,4 = 0,572 \text{ kN/cm}^2$$

$$\bar{\tau} = \frac{\tau_N}{\tau_{dop}} = \frac{0,572}{18,0} = 0,0318$$

$$\beta_y = \frac{l_{iy}}{i_y} = \frac{550}{5,73} = 95,99 \rightarrow \bar{\beta}_y = \frac{95,99}{92,9} = 1,033$$

$$\beta_z = \frac{l_{iz}}{i_z} = \frac{275}{3,52} = 78,12 \rightarrow \bar{\beta}_z = \frac{78,12}{92,9} = 0,841$$

$$k_{ny} = 1 + \frac{r_y \times (\bar{\beta}_y - 0,2)}{1 - \bar{\beta}_y^2 \times \bar{\tau}} = 1 + \frac{0,339 \times (1,033 - 0,2)}{1 - 1,033^2 \times 0,0318} = 1,292$$

$$k_{nz} = 1 + \frac{r_z \times (\bar{\beta}_z - 0,2)}{1 - \bar{\beta}_z^2 \times \bar{\tau}} = 1 + \frac{0,489 \times (0,841 - 0,2)}{1 - 0,841^2 \times 0,0318} = 1,321$$

$$: \quad k_n = \max\{k_{ny}; k_{nz}\} = \max\{1,292; 1,321\} = 1,321$$

$$k_{my} = \frac{S_y}{1 - \bar{\beta}_y^2 \times \bar{\tau}} = \frac{1,00}{1 - 0,841^2 \times 0,0318} = 1,290$$

JUS U.E7.096:

$$1,321 \times 0,572 + 1,056 \times 1,290 \times \frac{16,66 \times 100}{155} = 15,40 \frac{\text{kN}}{\text{cm}^2} < 18,0 \frac{\text{kN}}{\text{cm}^2} = \tau_{dop}$$



) ( **POS GN, HOP 140x140x5)**

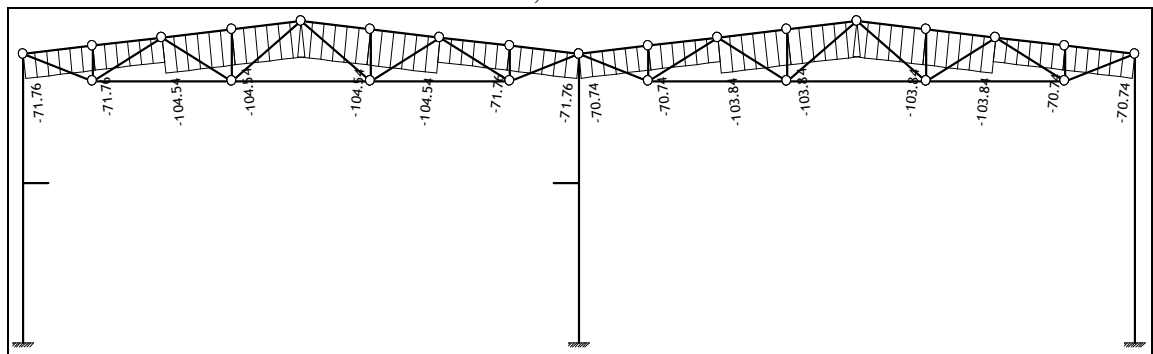
( 3.1.3) " "

: **min P = 12,38 kN**

$$: g + s = 0,60 + 1,00 = 1,60 \text{ kN/m}^2$$

$$: w = 0,44 \times (-0,5 + 0,2) = -0,132 \text{ kN/m}^2$$

$$k_{red} = \frac{g + s + w}{g + s} = \frac{1,60 - 0,132}{1,60} = 0,918$$



$$\max P_g = k_{red} \times \max P_g = 0,918 \times 104,54 = 95,97 \text{ kN}$$

$$P_{spreg} = 12,38 \text{ kN}$$

$$: P_g + P_{spreg} = 95,97 + 12,38 = 108,35 \text{ kN}$$

" "

" "

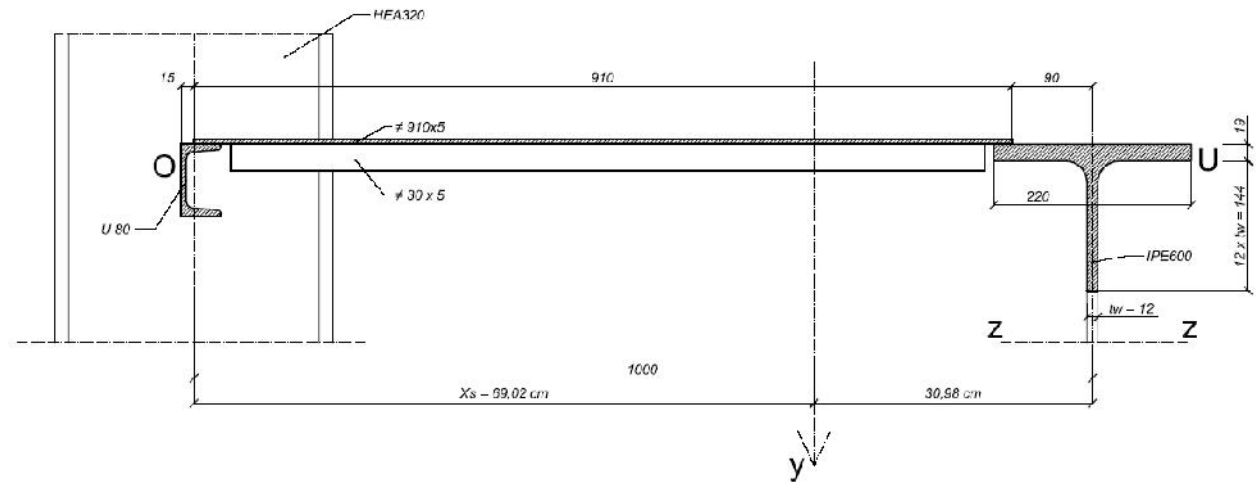
### 4.3 (POS SBU)

#### 4.3.1

$$: P_{bu,max} = 24,60 \text{ kN}$$

$$M_{\max} = 24,60 \hat{=} 1,50 = 36,90 \text{ kNm ( )}$$

## 4.3.2



	U80	11,0 cm <sup>2</sup>
	≠ 910 x 5	45,5 cm <sup>2</sup>
	IPE600	41,8 cm <sup>2</sup>
	IPE600	17,28 cm <sup>2</sup>
		<b>: 115,58 cm<sup>2</sup></b>

$$z_s = \frac{11,0 \times (-0,05) + 45,5 \times 45,5 + (41,8 + 17,28) \times 100}{115,58} = 69,02 \text{ cm}$$

$$I_y = 19,4 + 11,0 \times 69,07^2 + \frac{0,5 \times 91,0^3}{12} + 45,5 \times 23,52^2 + \frac{1,9 \times 22,0^3}{12} + 41,8 \times 30,98^2 + \frac{14,4 \times 1,2^3}{12} + 17,28 \times 30,98^2$$

$$I_y = 167456 \text{ cm}^4$$

$$W^o = \frac{167456}{69,02 + 1,5} = 2375 \text{ cm}^3$$

$$W^U = \frac{167456}{30,98 + 11,0} = 3989 \text{ cm}^3$$

:

$$\tau^o = \frac{\max M}{W^o} = \frac{36,9 \times 100}{2375} = 1,55 \frac{\text{kN}}{\text{cm}^2}$$

$$\tau^U = \frac{\max M}{W^U} = \frac{36,9 \times 100}{3989} = 0,93 \frac{\text{kN}}{\text{cm}^2}$$

( "U")

( 25.) :

$$t_u = 11,68 \frac{kN}{cm^2}$$

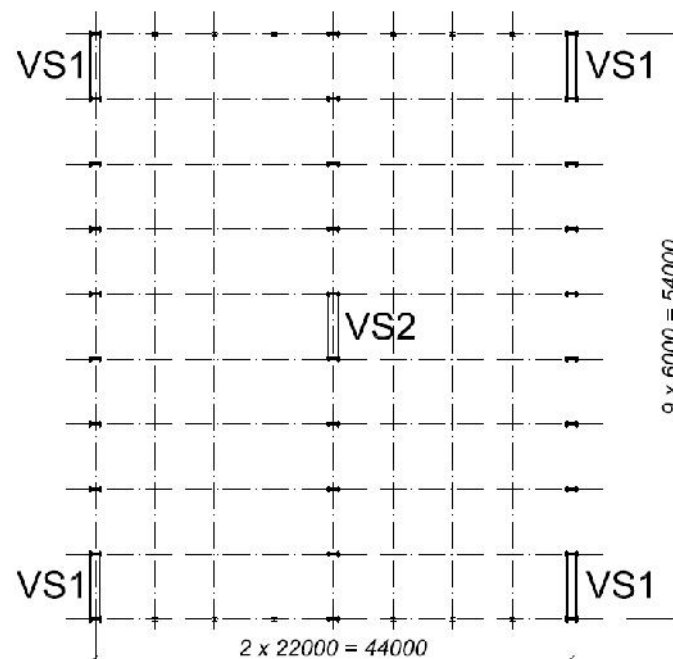
$$t = t_u + t^U = 11,68 + 0,93 = 12,61 \frac{kN}{cm^2} < 18,0 \frac{kN}{cm^2} = t_{u,dop}''$$

#### 4.4

( )

VS2),

(POS



## 4.4.1

**POS VS1:**

$$S_1 = \pm K_2 \times m_k \times B/4 \times l/2 = \pm 0,065 \times 1,8045 \times 44,0/4 \times 54,0/2$$

$$S_1 = \pm 34,8 \text{ kN}$$

**POS VS2:**

$$S_2 = \pm K_2 \times m_k \times B/2 \times l = \pm 0,065 \times 1,8045 \times 44,0/2 \times 54,0$$

$$S_2 = \pm 139,3 \text{ kN}$$

**POS VS1:**

$$W_{1,\max} = 23,34 \text{ kN}$$

$$W_{1,\min} = -14,85 \text{ kN}$$

**POS VS2:**

$$W_{2,\max} = 46,68 \text{ kN}$$

$$W_{2,\min} = -29,70 \text{ kN}$$

**POS VS2:**

$$P_k = 57,0 \text{ kN}$$

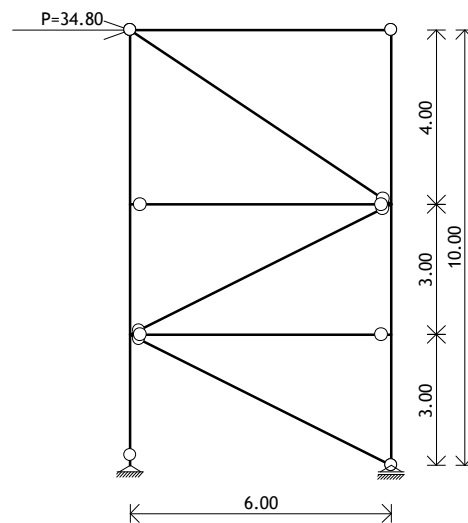
## 4.4.2

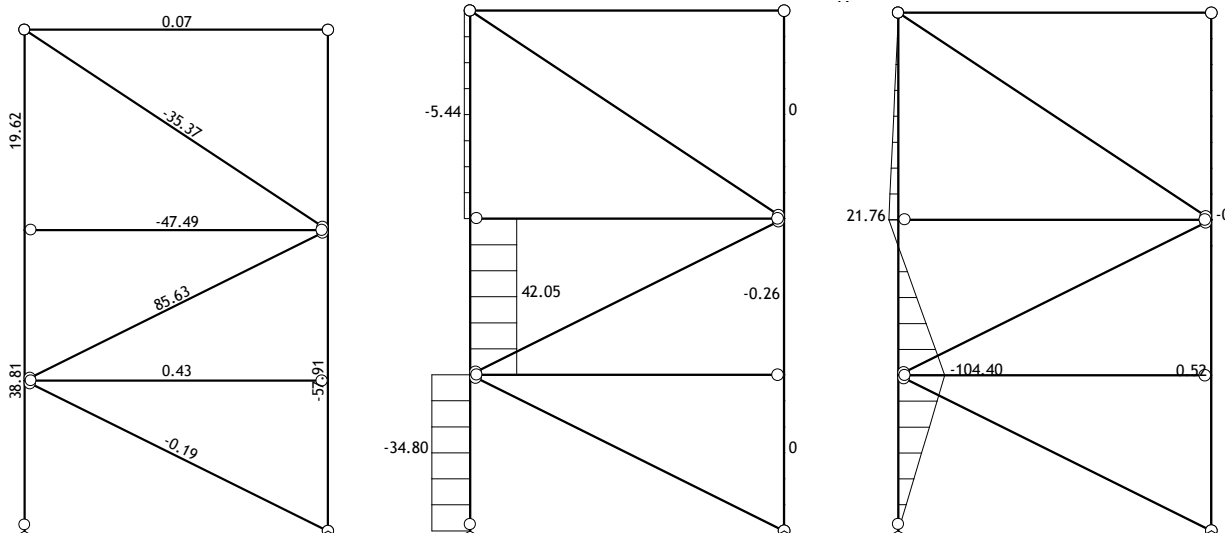
$$\begin{array}{l} - \\ - \end{array} \quad \begin{array}{l} v^I = 1,50 \\ v^{III} = 1,20 \end{array}$$

$$S_1/W_{1,\max} = 34,8/23,34 = 1,491 > 1,250 = 1,50/1,20 = v^I/v^{III}$$

$$S_2/W_{2,\max} = 139,3/46,68 = 2,984 > 1,250 = 1,50/1,20 = v^I/v^{III}$$

## 4.4.3

**POS VS1**



POS VS1

$$N_{\min} = 85,63 \text{ kN}$$

**T**

$$l_{iy, \max} = l_{iz, \max} = 721 \text{ cm}$$

**HOP 120x120x5**

$$i_y = i_z = 4,68 \text{ cm}$$

$$A = 22,67 \text{ cm}^2$$

$$\bar{\lambda}_{\max} = \frac{l_i}{i_{\min}} = \frac{721}{4,68} = 154,06 \Rightarrow \bar{\lambda} = \frac{\lambda_{\max}}{\lambda_v} = \frac{154,06}{92,9} = 1,658$$

$$\alpha = 0,489 \quad (\text{C})$$

$$s = 1 + r(\bar{\lambda} - 0,2) + \bar{\lambda}^2 = 1 + 0,489(1,658 - 0,2) + 1,658^2 = 4,463$$

$$t = \frac{2}{s + \sqrt{s^2 - 4\bar{\lambda}^2}} = \frac{2}{4,463 + \sqrt{4,463^2 - 4 \times 1,658^2}} = 0,268$$

$$t_{i, dop} = t \times t_{dop} = 0,268 \times 20,0 = 5,36 \frac{\text{kN}}{\text{cm}^2}$$

$$t_{\max} = \frac{N_{\min}}{A} = \frac{85,63}{22,67} = 3,78 \frac{\text{kN}}{\text{cm}^2} < 5,36 \frac{\text{kN}}{\text{cm}^2} = t_{i, dop}$$

$$t_{\max} = \frac{N_{\max}}{A} = \frac{85,63}{22,67} = 3,78 \frac{\text{kN}}{\text{cm}^2} < 20,0 \frac{\text{kN}}{\text{cm}^2} = t_{dop}$$

$$N_{\min} = 47,49 \text{ kN}$$

$$: l_{iy, \max} = l_{iz, \max} = 600 \text{ cm}$$

### HOP 100x100x4

$$i_y = i_z = 3,89 \text{ cm}$$

$$A = 14,95 \text{ cm}^2$$

$$\lambda_{\max} = \frac{l_i}{i_{\min}} = \frac{600}{3,89} = 154,24 \Rightarrow \lambda = \lambda_{\max} = \frac{154,24}{92,9} = 1,660$$

$$\alpha = 0,489 \text{ ( C )}$$

$$s = 1 + r(\lambda - 0,2) + \lambda^2 = 1 + 0,489(1,660 - 0,2) + 1,660^2 = 4,470$$

$$t = \frac{2}{s + \sqrt{s^2 - 4\lambda^2}} = \frac{2}{4,470 + \sqrt{4,470^2 - 4 \times 1,660^2}} = 0,199$$

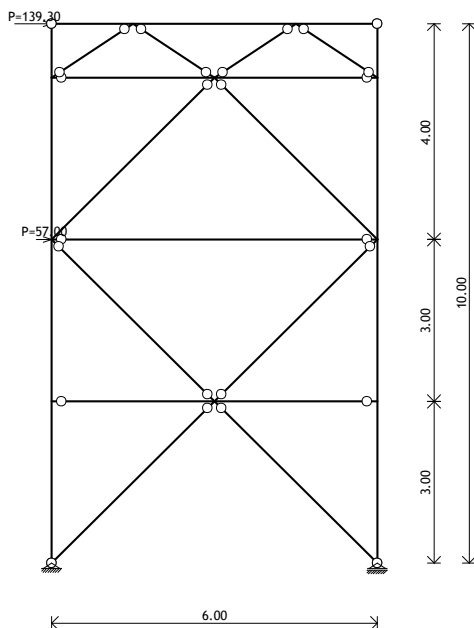
$$t_{i, dop} = t \times t_{dop} = 0,199 \times 20,0 = 3,98 \frac{\text{kN}}{\text{cm}^2}$$

$$t_{\max} = \frac{N_{\min}}{A} = \frac{47,49}{14,95} = 3,18 \frac{\text{kN}}{\text{cm}^2} < 3,98 \frac{\text{kN}}{\text{cm}^2} = t_{i, dop}$$

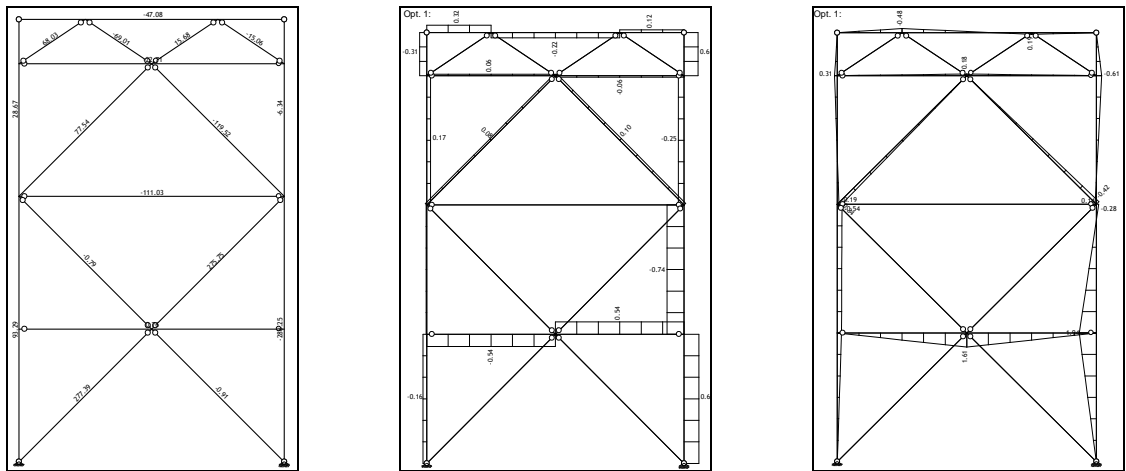
POS VS1.

#### 4.4.4

#### POS VS2



( ):



$$N_{\min} = 275,75 \text{ kN}$$

**T**

$$: l_{iy,\max} = l_{iz,\max} = 424 \text{ cm}$$

**HOP 120x120x5,6**

$$i_y = i_z = 4,65 \text{ cm}$$

$$A = 25,22 \text{ cm}^2$$

$$\bar{\lambda}_{\max} = \frac{l_i}{i_{\min}} = \frac{424}{4,65} = 91,18 \Rightarrow \bar{\lambda} = \frac{\lambda_{\max}}{\lambda_y} = \frac{91,18}{92,9} = 0,982$$

$$\alpha = 0,489 \text{ ( C )}$$

$$s = 1 + r(\bar{\lambda} - 0,2) + \bar{\lambda}^2 = 1 + 0,489(0,982 - 0,2) + 0,982^2 = 2,346$$

$$t = \frac{2}{s + \sqrt{s^2 - 4\bar{\lambda}^2}} = \frac{2}{2,346 + \sqrt{2,346^2 - 4 \times 0,982^2}} = 0,551$$

$$t_{i,dop} = t \times t_{dop} = 0,551 \times 20,0 = 11,02 \frac{\text{kN}}{\text{cm}^2}$$

$$t_{\max} = \frac{N_{\min}}{A} = \frac{275,75}{25,22} = 10,93 \frac{\text{kN}}{\text{cm}^2} < 11,02 \frac{\text{kN}}{\text{cm}^2} = t_{i,dop}$$

$$t_{\max} = \frac{N_{\max}}{A} = \frac{275,75}{25,22} = 10,93 \frac{\text{kN}}{\text{cm}^2} < 20,0 \frac{\text{kN}}{\text{cm}^2} = t_{dop}$$

**HOP 120x120x5,6.**

**(POS SK)**

---

**POS VS2**

**POS GS2 (**

, ) . " "

, **POS VS2.** ,

· , " "

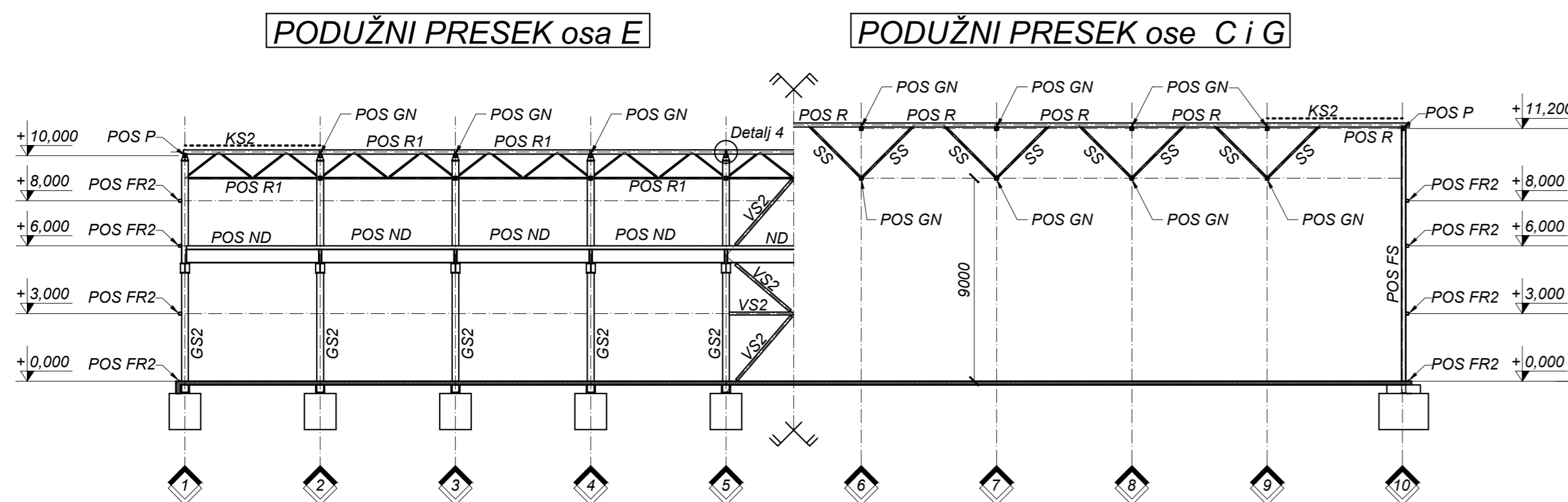
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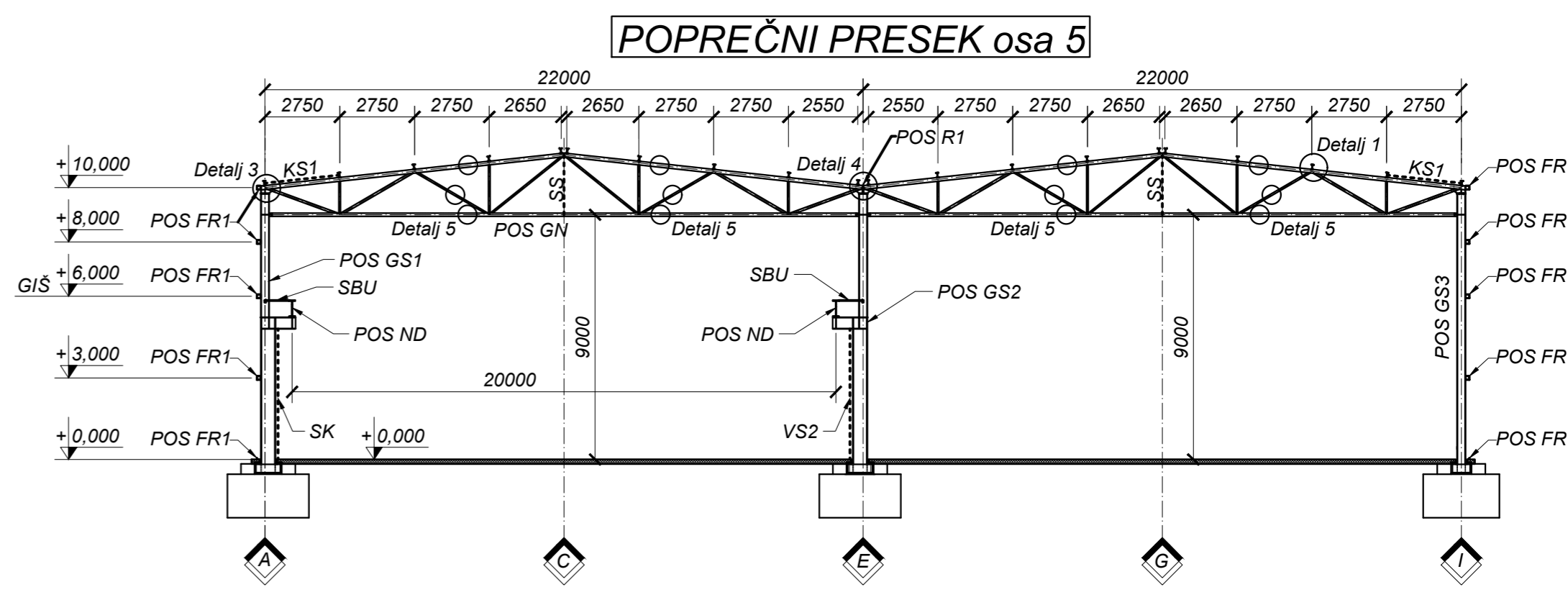
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**5.**

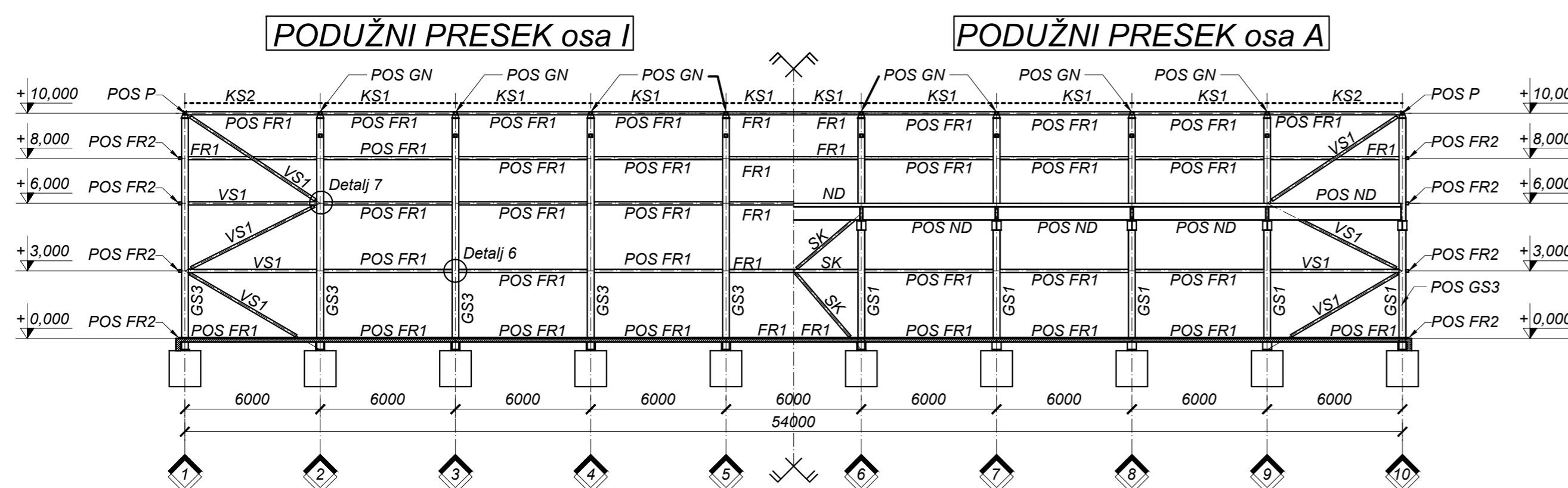
- 1) , , , 2007. :
- 2) , , , 2007. , :
- 3) 2006, : , , ,
- 4) II-23-81\*, Mo , 2004.



PODUŽNI PRESEK ose C i G

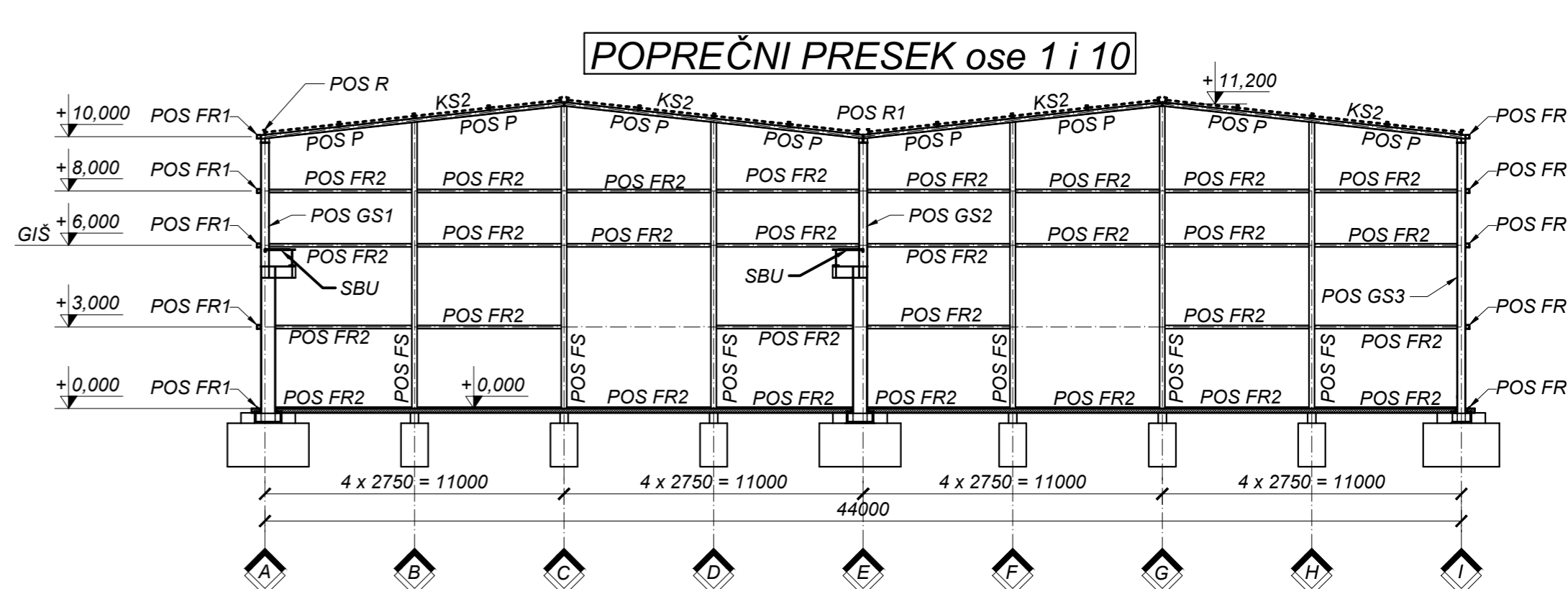


POPREČNI PRESEK osa 5

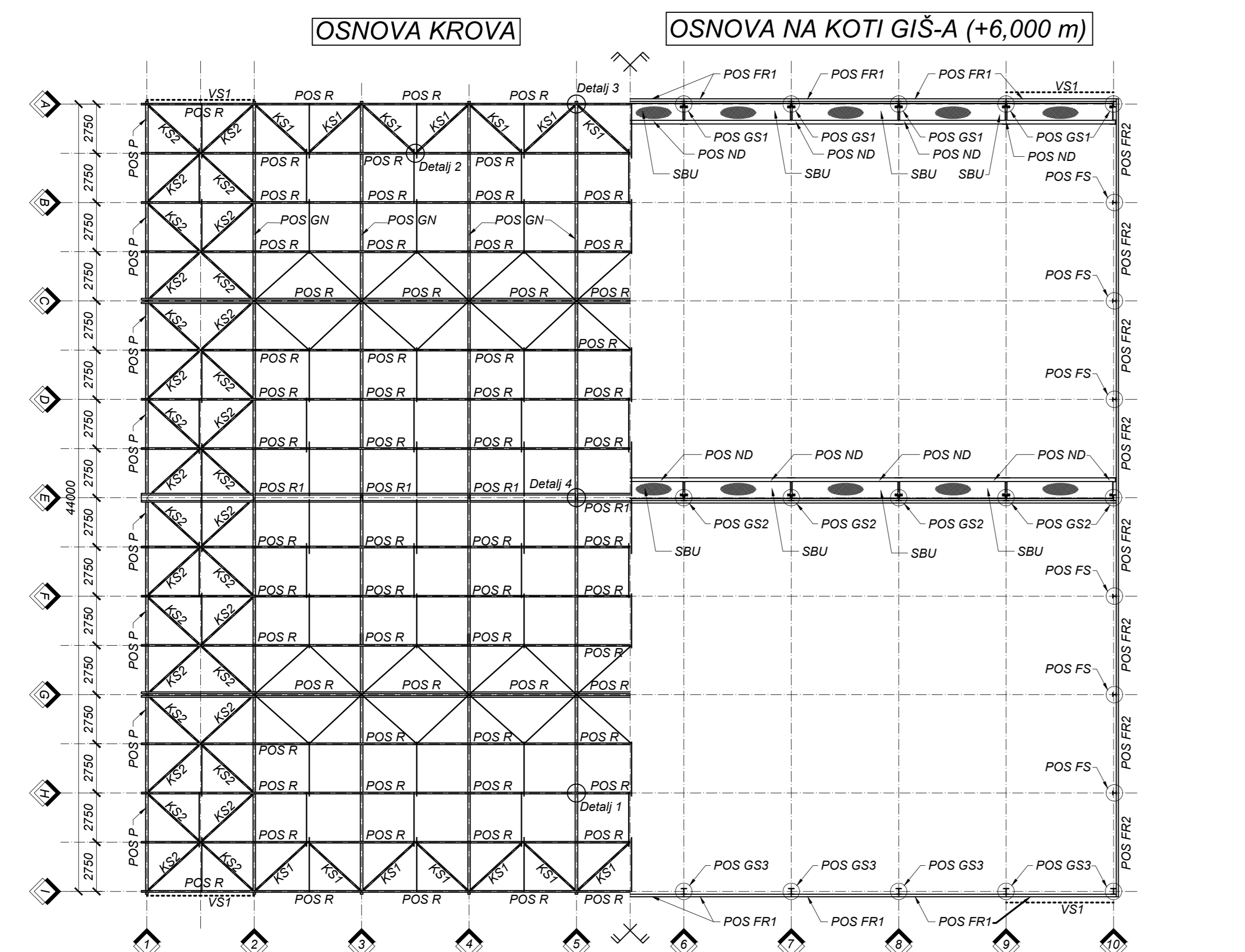


PODUŽNI PRESEK osa I

PODUŽNI PRESEK osa A

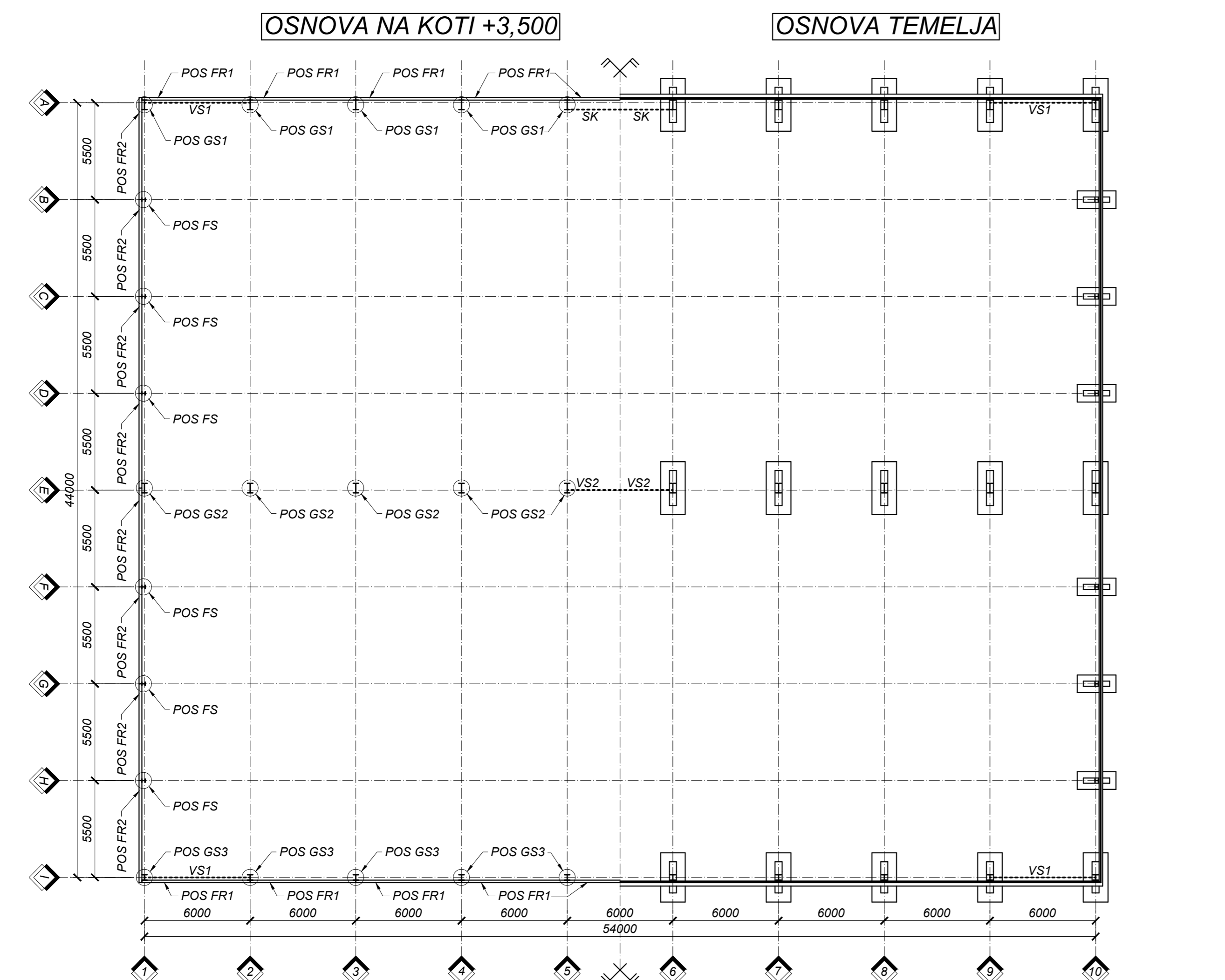


POPREČNI PRESEK ose 1 i 10



OSNOVA KROVA

OSNOVA NA KOTI GIŠ-A (+6,000 m)



OSNOVA NA KOTI +3,500

OSNOVA TEMELJA

**ORJENTACIONA SPECIFIKACIJA MATERIJALA (komada 1)**

- važi uz crtež dispozicije -

r. br.	POS	materijal	kom.	tip	dimenzije elementa [mm]			po m <sup>2</sup> ili m <sup>3</sup> [kg]	za 1 komad	ukupno
					širina	debljina (zida)	dužina			
1	POS R - rožnjače	S235	18	IPE180			54000	18,80	1015,20	18273,60
2	POS R1 - gornji pojas	S235	9	2 x IPE180			6000	37,60	225,60	2030,40
3	POS R1 - ispuna	S235	36	□60x60x4			1415	6,71	9,49	341,81
4	POS R1 - donji pojas	S235	9	□60x60x4			6000	6,71	40,26	362,34
5	Zatege u krovu	S235	164	Ø 10			6000	0,63	3,77	618,27
6	POS P - poklapača	S235	16	HEA140			5500	24,70	135,85	2173,60
7	POS GN - gornji pojas	S235	16	□140x140x5			22130	20,94	463,40	7414,40
8	POS GN - donji pojas	S235	16	□120x120x4			22000	14,41	317,02	5072,32
9	POS GN - ispuna 1	S235	16	□100x80x4			12216	10,60	129,49	2071,84
10	POS GN - ispuna 2	S235	16	□80x60x3			19808	6,13	121,42	1942,72
11	POS GS1 - donji deo	S235	10	HEA550			5800	166,00	962,80	9628,00
12	POS GS1 - gornji deo	S235	10	HEA320			4700	97,60	458,72	4587,20
13	POS GS2 - donji deo	S235	10	HEA550			5800	166,00	962,80	9628,00
14	POS GS2 - gornji deo	S235	10	HEA320			4700	97,60	458,72	4587,20
15	POS GS3	S235	10	HEA320			10500	97,60	1024,80	10248,00
16	POS FS	S235	8	HEA200			11100	42,30	469,53	3756,24
17	POS FS u sredini	S235	4	HEA200			11700	42,30	494,91	1979,64
18	POS FR1	S235	72	□140x140x4			6000	16,92	101,52	7309,44
19	POS FR1 na sokli	S235	18	L50x50x5			6000	3,77	22,62	407,16
20	POS FR2	S235	44	□120x120x4,5			5500	16,12	88,66	3901,04
21	POS FR2 na sokli	S235	16	L50x50x5			5500	3,77	20,74	331,76
22	POS ND - nosač	S235	18	IPE600			6000	122,00	732,00	13176,00
23	POS ND - šina	S235	18	šina tip 49			6000	49,43	296,58	5338,44
24	konzole stubova	S235	18	#	400	10	740	32,00	23,68	426,24
25	POS KS1 - dijagonale	S235	28	L80x80x8			4070	9,66	39,32	1100,85
26	POS SBU - lim	S235	18	#	910	5	6000	36,40	218,40	3931,20
27	POS SBU - pojas	S235	18	U80			6000	8,64	51,84	933,12
28	POS KS2 - dijagonale	S235	64	L90x90x9			4070	12,20	49,65	3177,86
29	POS VS1 - dijagonale	S235	12	□120x120x5			7210	17,80	128,34	1540,06
30	POS VS1 - horizontale	S235	12	□100x100x4			6000	11,73	70,38	844,56
31	POS VS2 - dijagonale 1	S235	4	□120x120x5,6			3605	19,80	71,38	285,52
32	POS VS2 - dijagonale 2	S235	4	□120x120x5,6			4240	19,80	83,95	335,80
33	POS VS2 - horizontale	S235	3	□120x120x5,6			6000	19,80	118,80	356,40
34	POS SK - dijagonale	S235	8	□120x120x5,6			4240	19,80	83,95	671,60
35	POS SK - horizontale	S235	2	□120x120x5,6			6000	19,80	118,80	237,60
36	POS SS - kosnici	S235	32	L70x70x7			3110	7,38	22,95	734,46

ukupno: 129 754,69 kg

procenjeni konstruktivni faktor (za čvorne limove, ankere, spojna sredstva, čeone ploče itd...) **ukupno + 10 %: 142 730,00 kg**

**površina: 44,0 x 54,0 = 2376,0 m<sup>2</sup>** **ukupno kg/m<sup>2</sup>: 60,7**  
**zapremina: 2376,0 x (10,0 + 11,2)/2 = 25185,6 m<sup>3</sup>** **ukupno kg/m<sup>3</sup>: 5,67**

GRAĐEVINSKI FAKULTET UNIVERZITETA U BEOGRADU

ODSEK ZA KONSTRUKCIJE

KATEDRA ZA MATERIJALE I KONSTRUKCIJE

**SINTEZNI PROJEKAT**

PREDMETNI PROFESOR:

OVERA:

KANDIDAT:

**dr DRAGAN BUĐEVAC**

**MIROSLAV MARJANOVIĆ**

ASISTENT:

OVERA:

INDEKS:

**mr JELENA DOBRIĆ**

**47 / 05**

**DISPOZICIJA DVOBRODNE INDUSTRIJSKE HALE**

RAZMERA:

FORMAT:

DATUM:

BRJ CRTEŽA:

ŠKOLSKA GODINA:

**1:200**

**841x720**

**02.07.2009.**

**1**

**2008 / 2009.**

## ORJENTACIONA SPECIFIKACIJA MATERIJALA (komada 1)

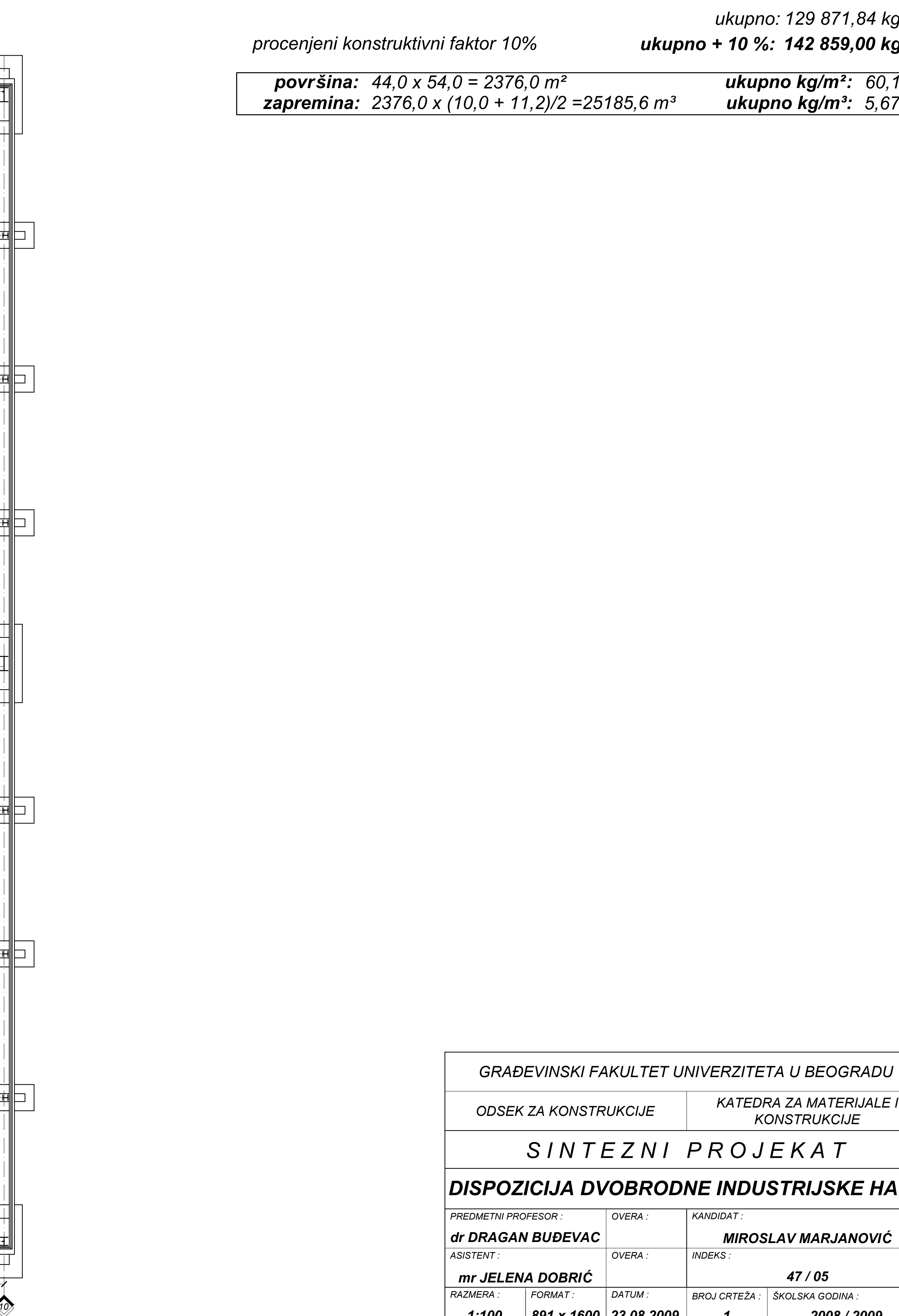
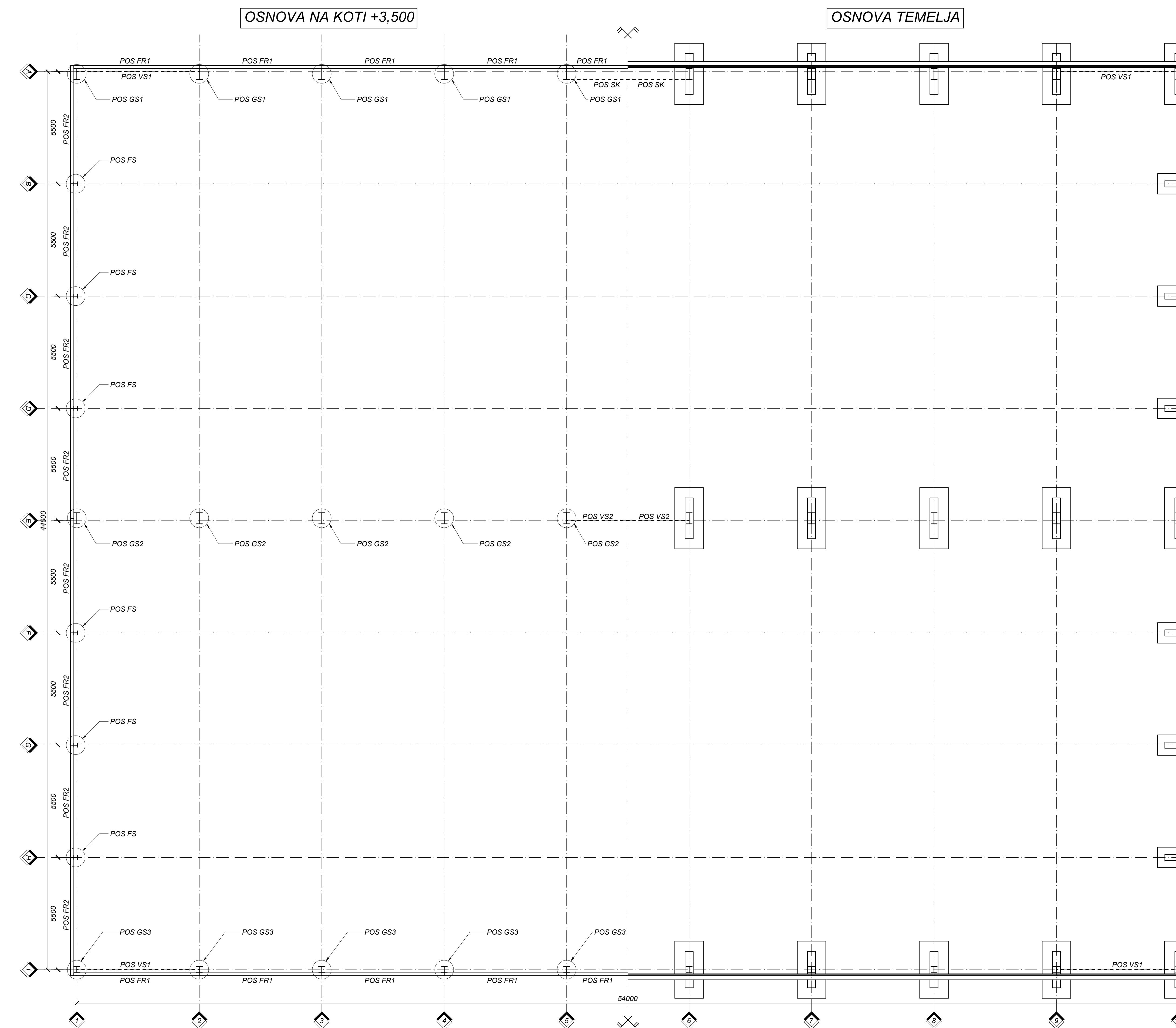
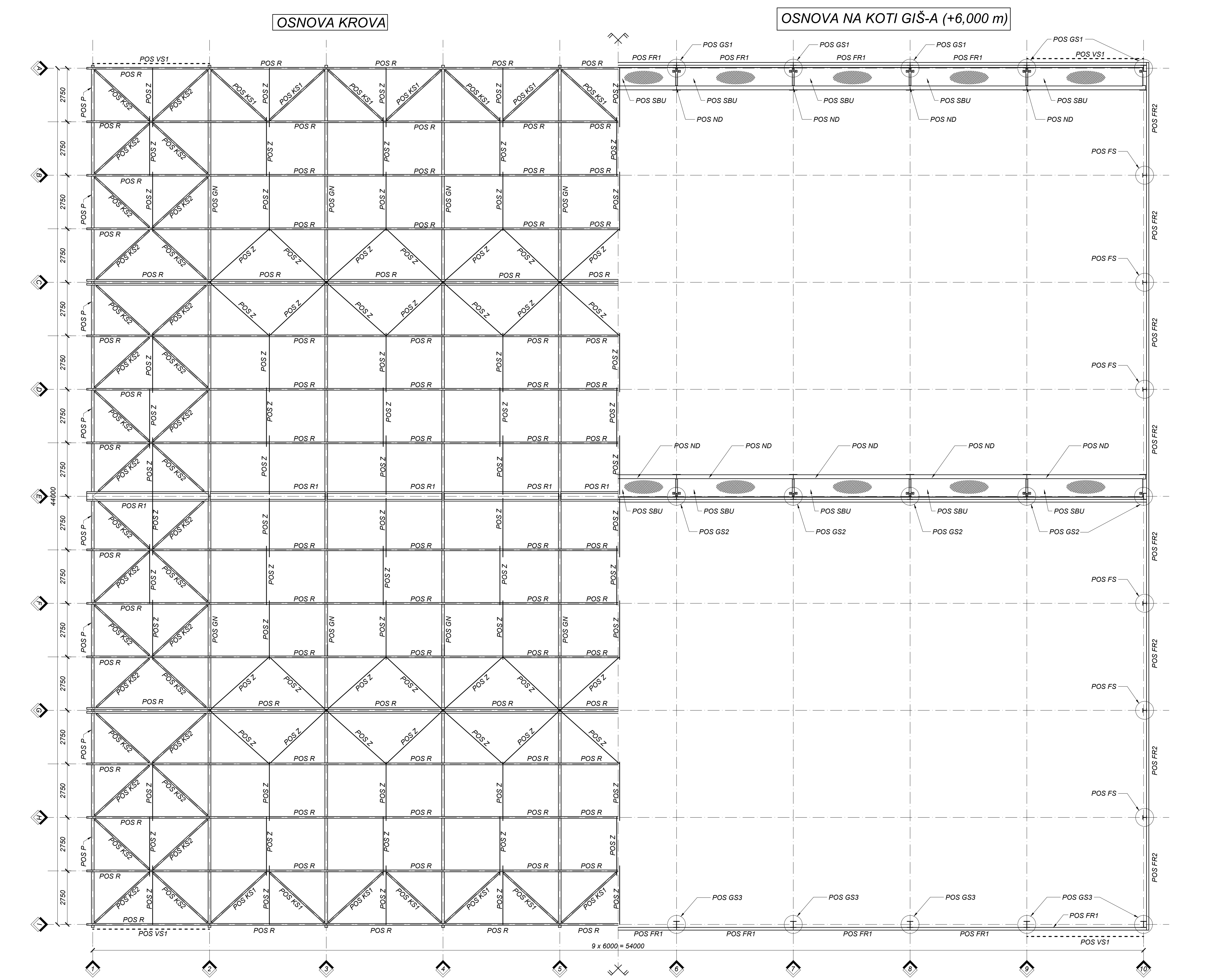
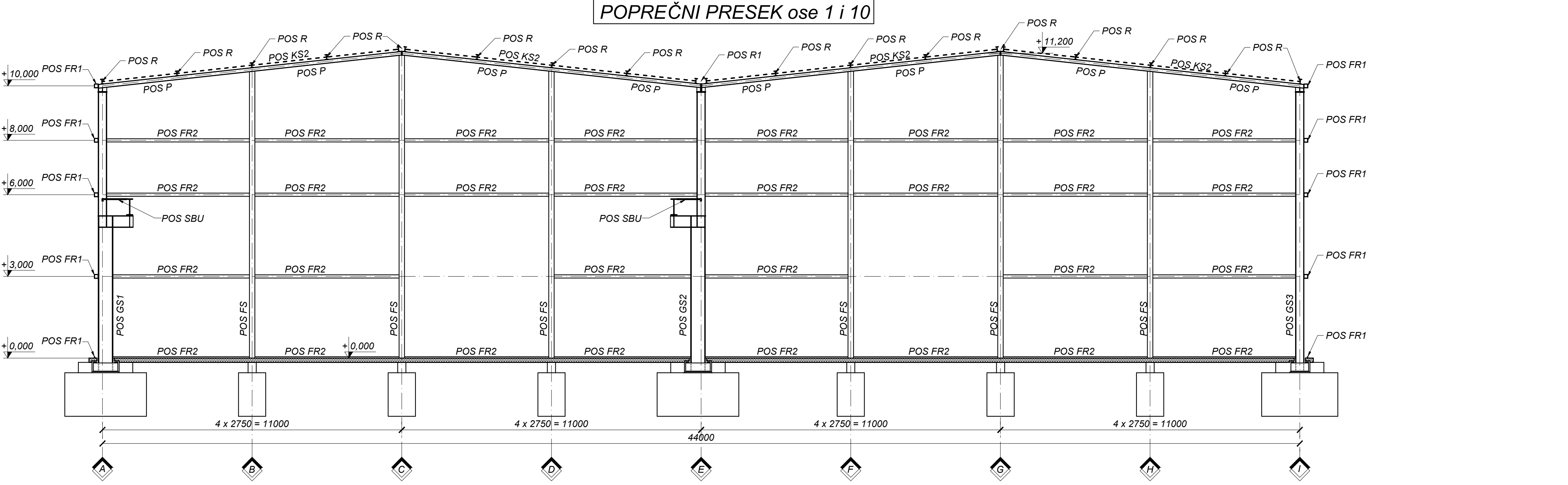
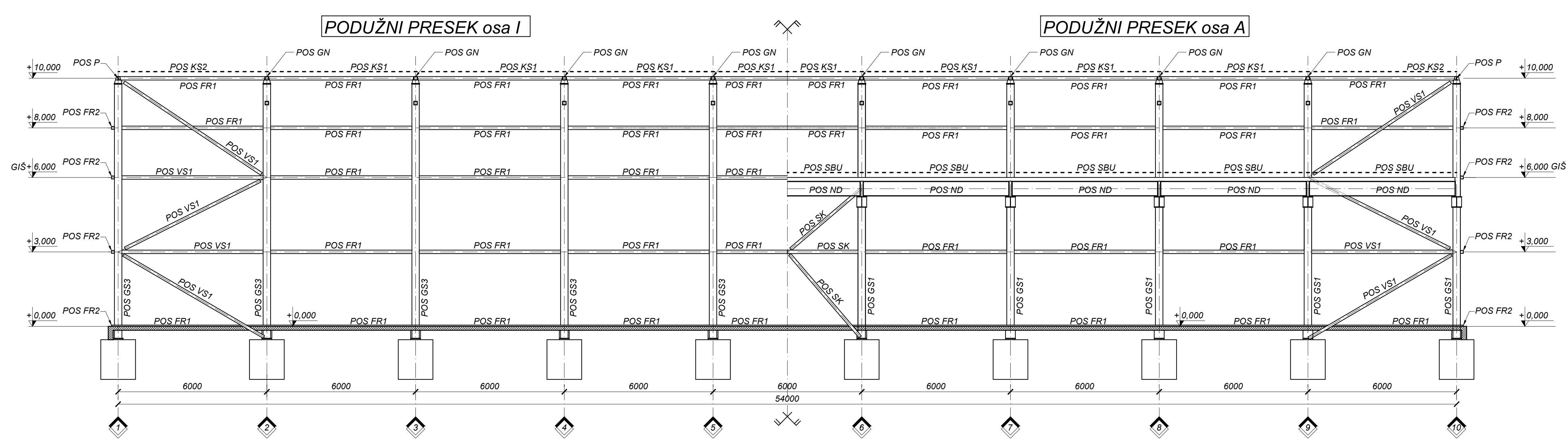
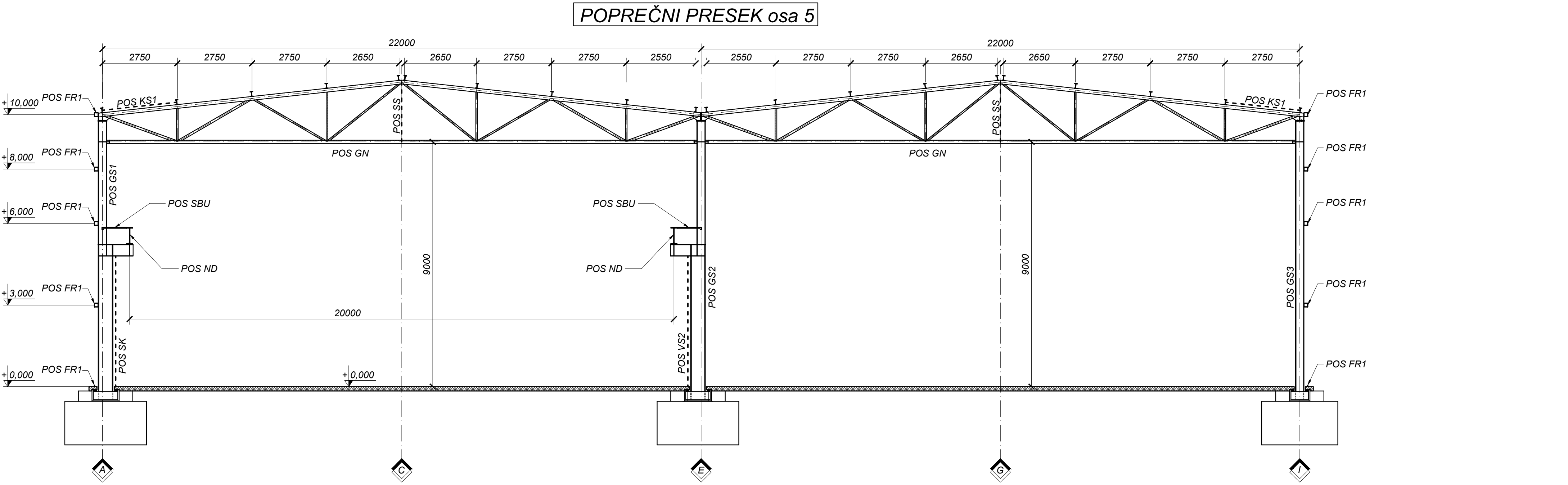
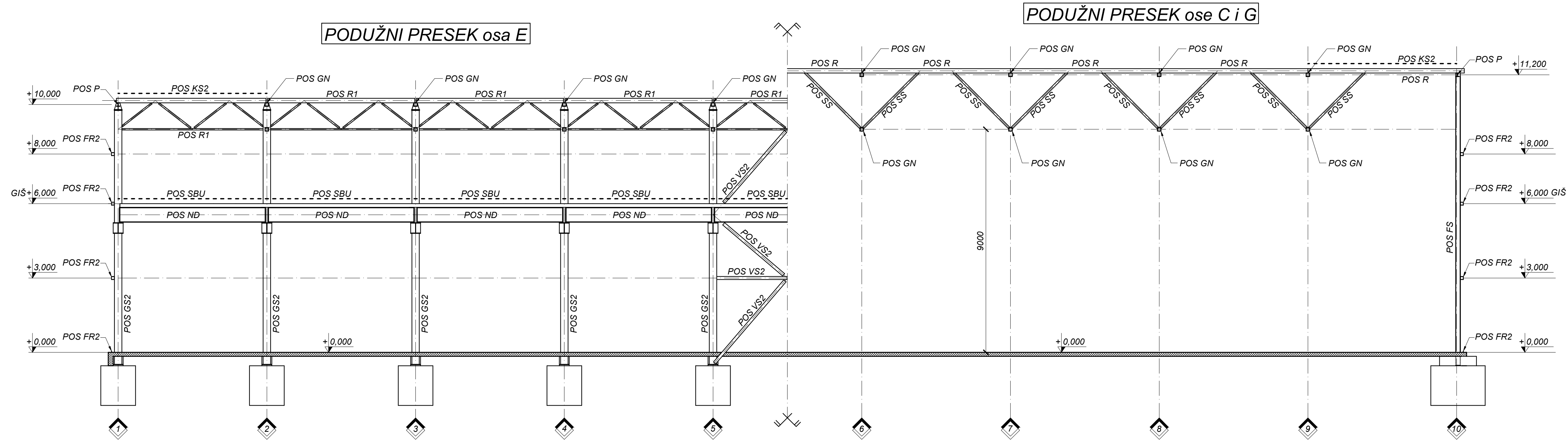
- važi uz crtež dispozicije -

r. br.	POS	mater. kom.	tip	dimenzije [mm]			po m' ili m <sup>2</sup> [kg]	za 1 komad	ukupno
				b	t	l			
1	POS R - rošnjače	S235 18	IPE180			54000	18,80	1015,20	18273,60
2	POS R1 - gornji pojas	S235 9	2 x IPE180			6000	37,60	225,60	2030,40
3	POS R1 - ispuna	S235 36	□60x60x4			1900	6,71	12,75	458,96
4	POS R1 - donji pojas	S235 9	□60x60x4			6000	6,71	40,26	362,34
5	POS Z - zatege u krovu	S235 164	Ø 10			6000	0,63	3,77	618,27
6	POS P - poklapača	S235 16	HEA140			5500	24,70	135,85	2173,60
7	POS GN - gornji pojas	S235 16	□140x140x5			22130	20,94	463,40	7414,40
8	POS GN - donji pojas	S235 16	□120x120x4			22000	14,41	317,02	5072,32
9	POS GN - ispuna 1	S235 16	□100x80x4			12216	10,60	129,49	2071,84
10	POS GN - ispuna 2	S235 16	□80x60x3			19808	6,13	121,42	1942,72
11	POS GS1 - donji deo	S235 10	HEA550			5800	166,00	962,80	9628,00
12	POS GS1 - gornji deo	S235 10	HEA320			4700	97,60	458,72	4587,20
13	POS GS2 - donji deo	S235 10	HEA550			5800	166,00	962,80	9628,00
14	POS GS2 - gornji deo	S235 10	HEA320			4700	97,60	458,72	4587,20
15	POS GS3	S235 10	HEA320			10500	97,60	1024,80	10248,00
16	POS FS	S235 8	HEA200			11100	42,30	469,53	3756,24
17	POS FS u sredini	S235 4	HEA200			11700	42,30	494,91	1979,64
18	POS FR1	S235 72	□140x140x4			6000	16,92	101,52	7309,44
19	POS FR1 na sokli	S235 18	L50x50x5			6000	3,77	22,62	407,16
20	POS FR2	S235 44	□120x120x4,5			5500	16,12	88,66	3901,04
21	POS FR2 na sokli	S235 16	L50x50x5			5500	3,77	20,74	331,76
22	POS ND - nosač	S235 18	IPE600			6000	122,00	732,00	13176,00
23	POS ND - šina	S235 18	šina tip 49			6000	49,43	296,58	5338,44
24	konzole stubova	S235 18	#	400	10	740	32,00	23,68	426,24
25	POS KS1 - dijagonale	S235 28	L80x80x8			4070	9,66	39,32	1100,85
26	POS SBU - lim	S235 18	#	910	5	6000	36,40	218,40	3931,20
27	POS SBU - pojas	S235 18	U80			6000	8,64	51,84	933,12
28	POS KS2 - dijagonale	S235 64	L90x90x9			4070	12,20	49,65	3177,86
29	POS VS1 - dijagonale	S235 12	□120x120x5			7210	17,80	128,34	1540,06
30	POS VS1 - horizontale	S235 12	□100x100x4			6000	11,73	70,38	844,56
31	POS VS2 - dijagonale 1	S235 4	□120x120x5,6			3605	19,80	71,38	285,52
32	POS VS2 - dijagonale 2	S235 4	□120x120x5,6			4240	19,80	83,95	335,80
33	POS VS2 - horizontale	S235 3	□120x120x5,6			6000	19,80	118,80	356,40
34	POS SK - dijagonale	S235 8	□120x120x5,6			4240	19,80	83,95	671,60
35	POS SK - horizontale	S235 2	□120x120x5,6			6000	19,80	118,80	237,60
36	POS SS - kosnici	S235 32	L70x70x7			3110	7,38	22,95	734,46

ukupno: 129 871,84 kg

procenjeni konstruktivni faktor 10% **ukupno + 10%: 142 859,00 kg**

**površina: 44,0 x 54,0 = 2376,0 m<sup>2</sup>** **ukupno kg/m<sup>2</sup>: 60,1**  
**zapremina: 2376,0 x (10,0 + 11,2)/2 = 25185,6 m<sup>3</sup>** **ukupno kg/m<sup>3</sup>: 5,67**



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**SINTEZNI PROJEKT**

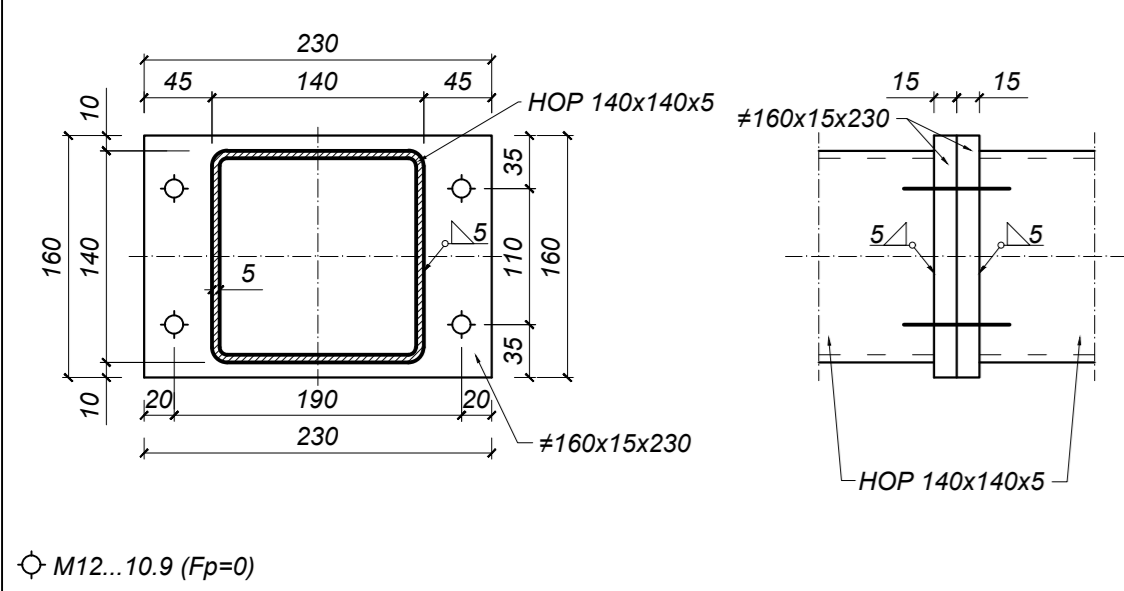
**DISPOZICIJA DVOBRODNE INDUSTRIJSKE HALE**

PREDMETNI PROFESOR:      OVEIRA:      KANDIDAT:  
**dr DRAGAN BUBEVAČ**      OVEIRA:      **MIROSLAV MARJANOVIĆ**

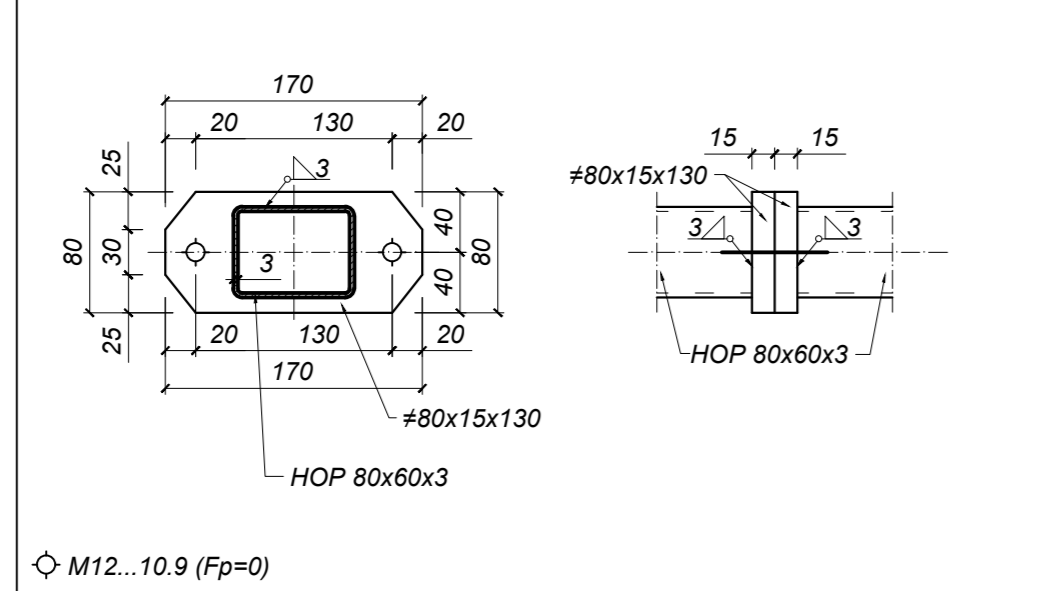
ASISTENT:      OVEIRA:      INDEKS:  
**mr JELENA DOBRIC**      OVEIRA:      **47 / 05**

RAZMERA:      FORMAT:      DATUM:      BROJ CRTEŽA:      ŠKOLSKA GODINA:  
**1:100**      **A3**      **23.08.2009.**      **1**      **2008 / 2009.**

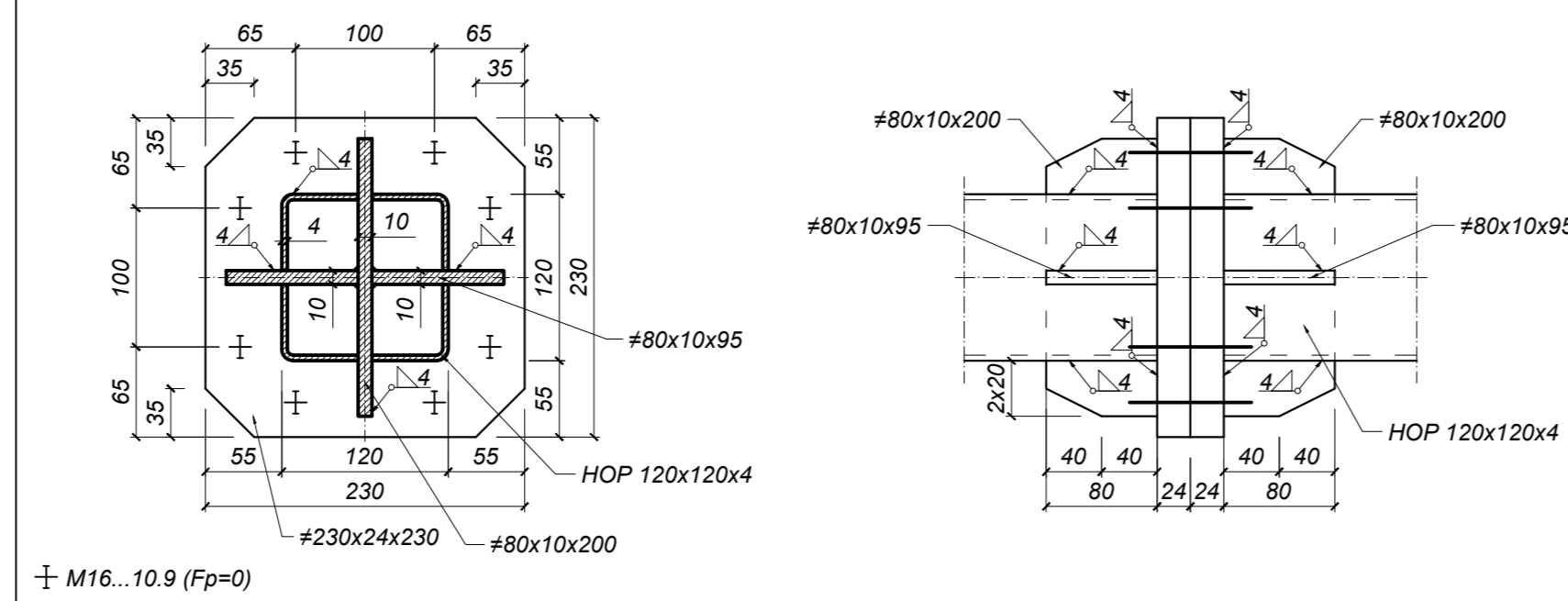
**DETALJ 5 - Montažni nastavak gornjeg pojasa glavnog nosača POS GN**



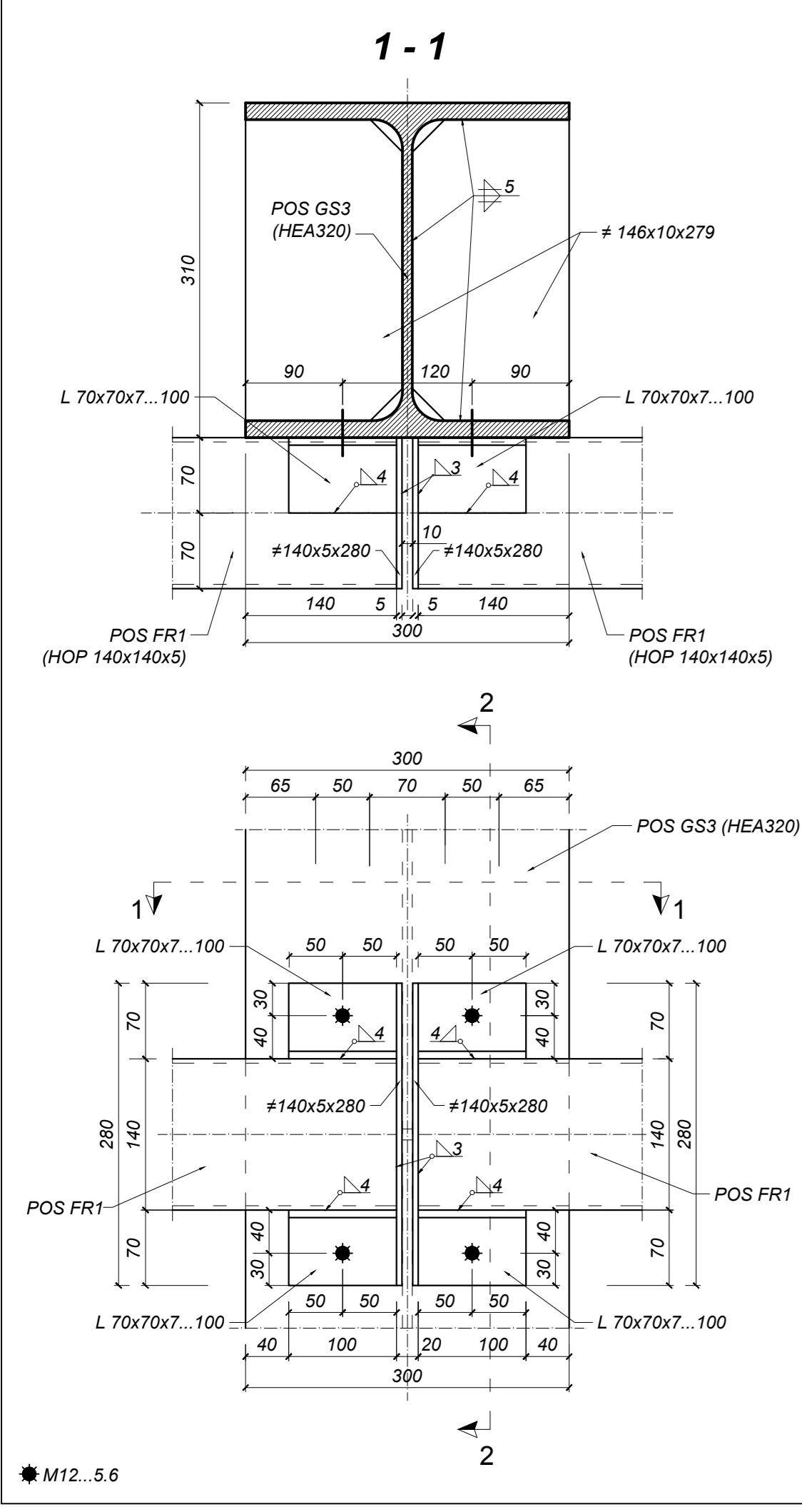
**DETALJ 6 - Montažni nastavak dijagonalne glavnog nosača POS GN**



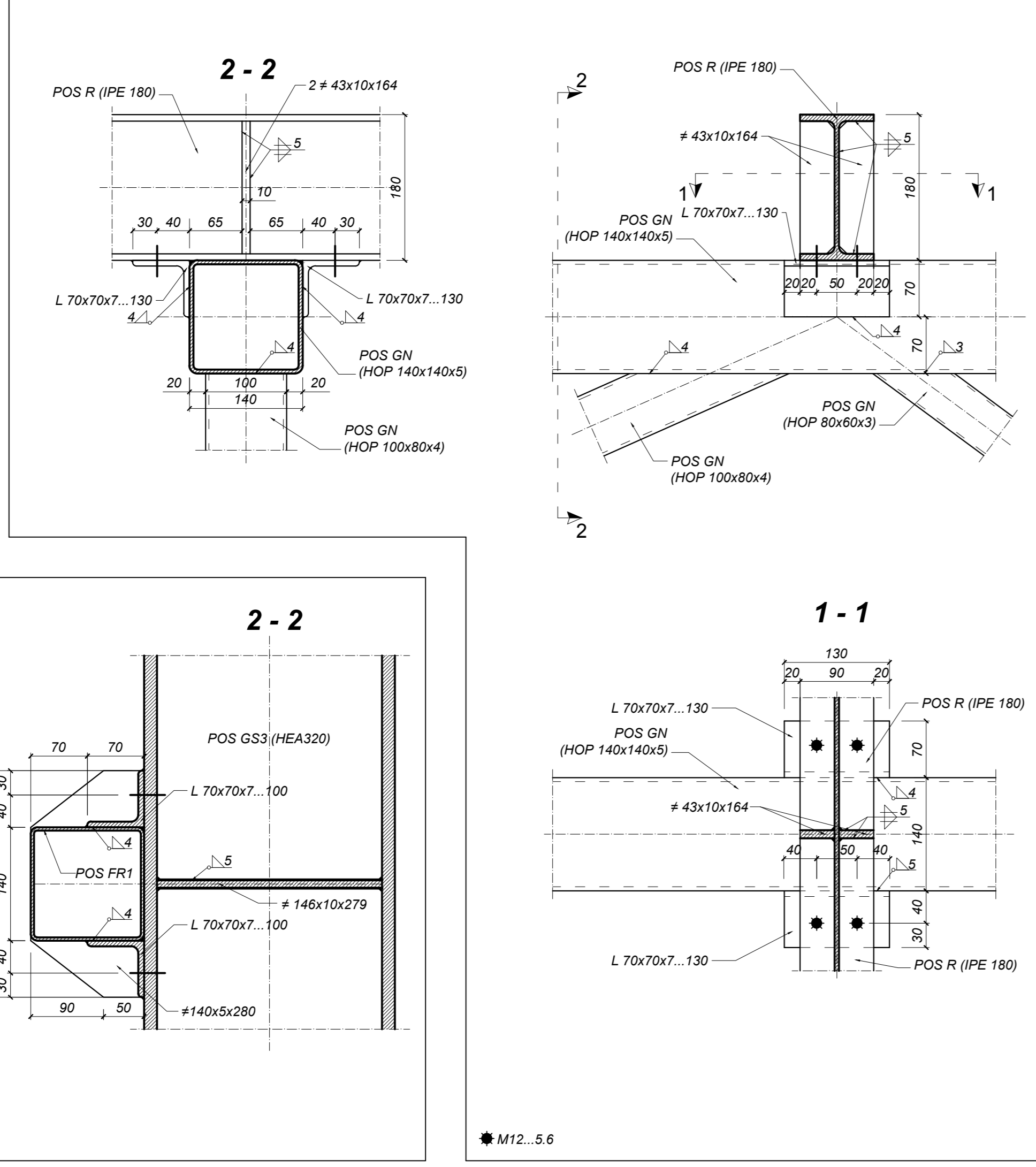
**DETALJ 7 - Montažni nastavak donjeg pojasa glavnog nosača POS GN**



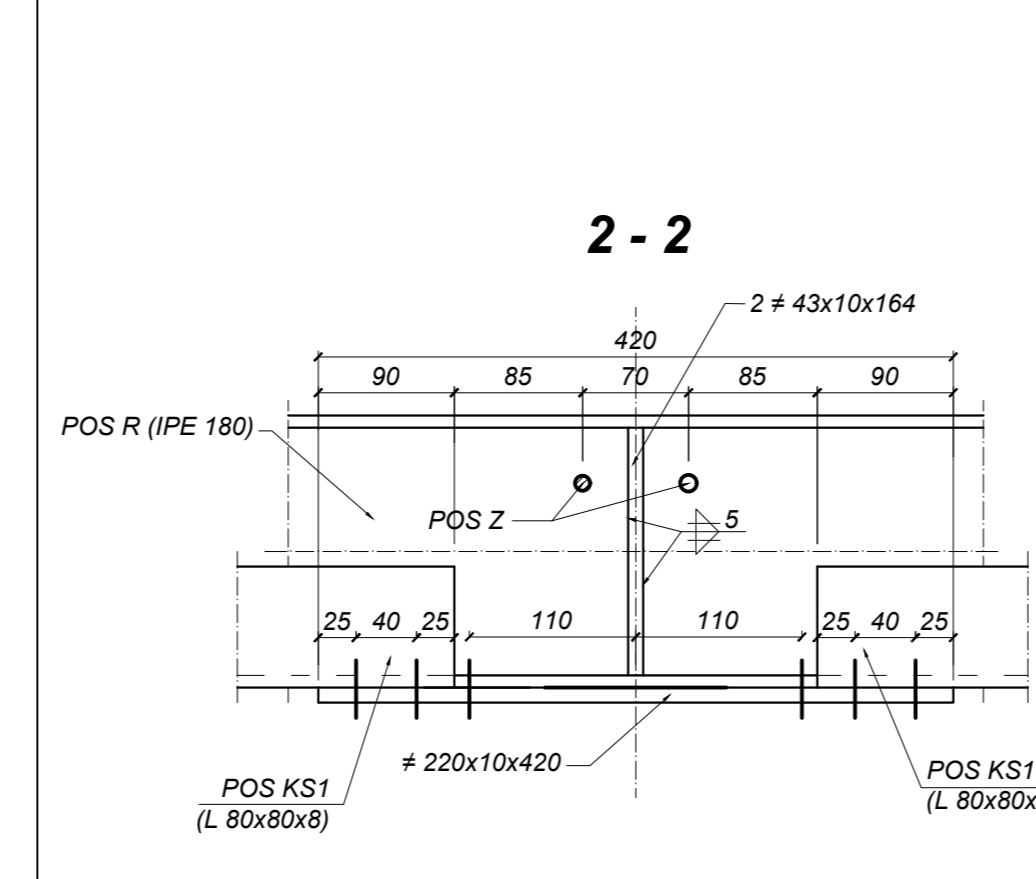
**DETALJ 8 - Veza fasadne rigle POS FR1 i glavnog stuba POS GS3**



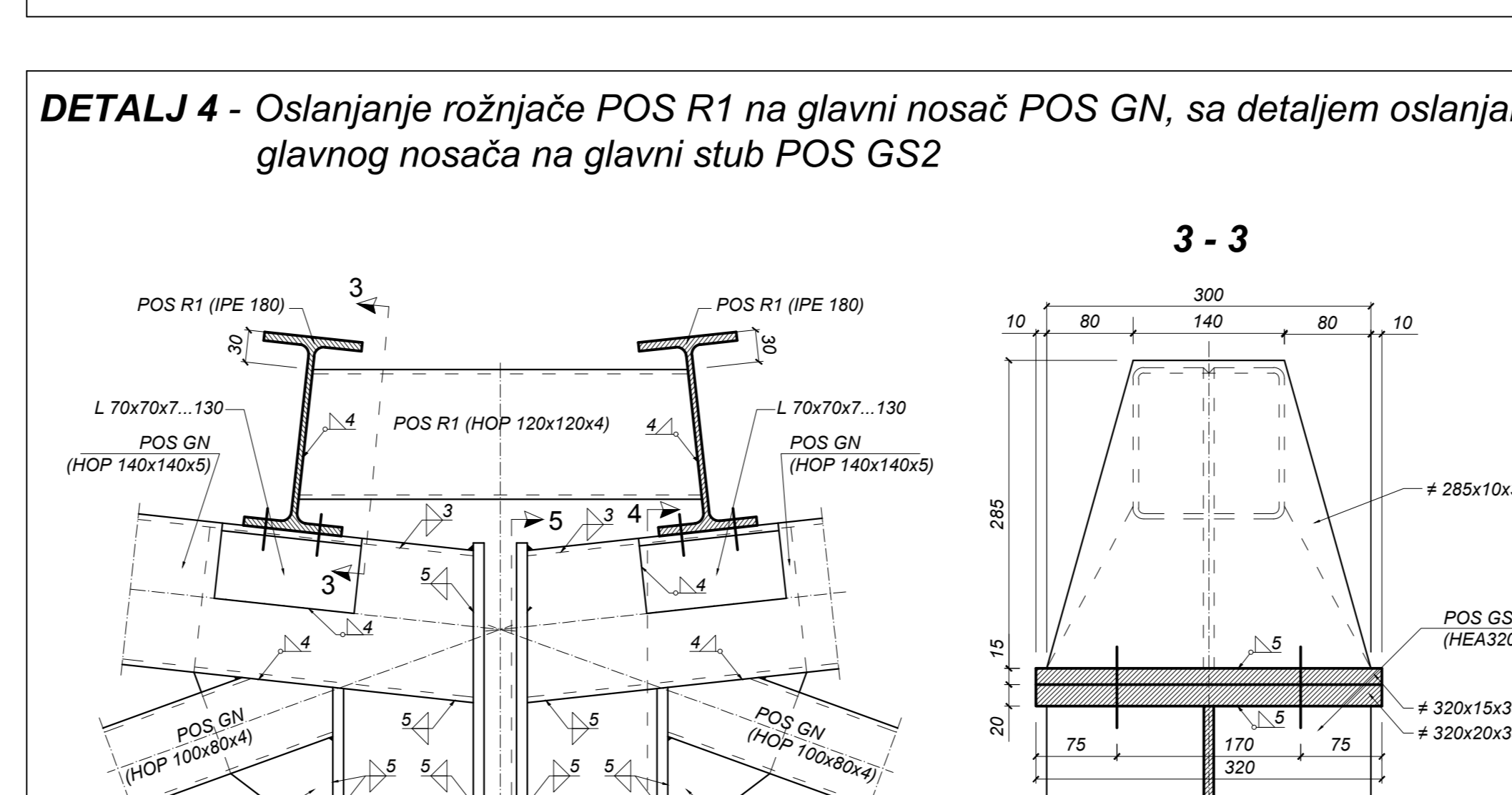
**DETALJ 1 - Oslanjanje rožnjače POS R na glavni nosač POS GN**



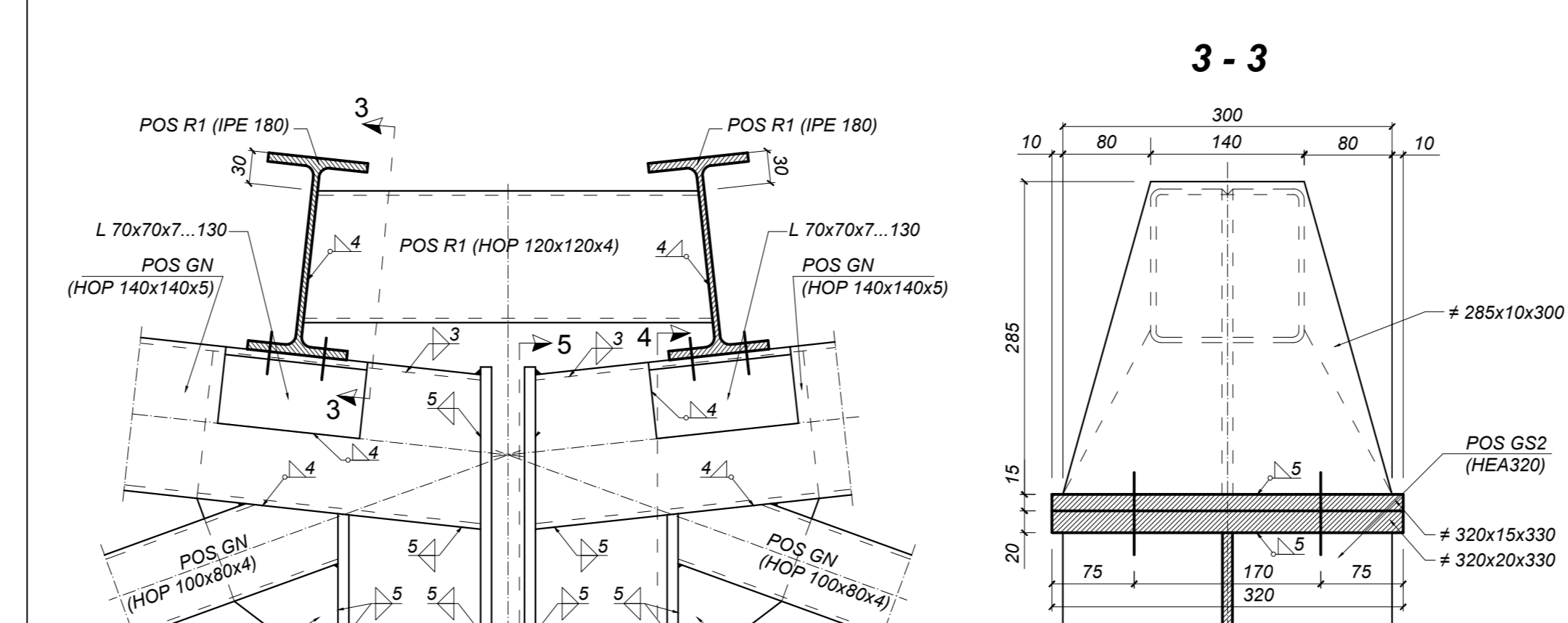
**DETALJ 2 - Veza podužnog krovnog sprega POS KS1 za rožnjaču POS R, sa detaljem zatege POS Z**



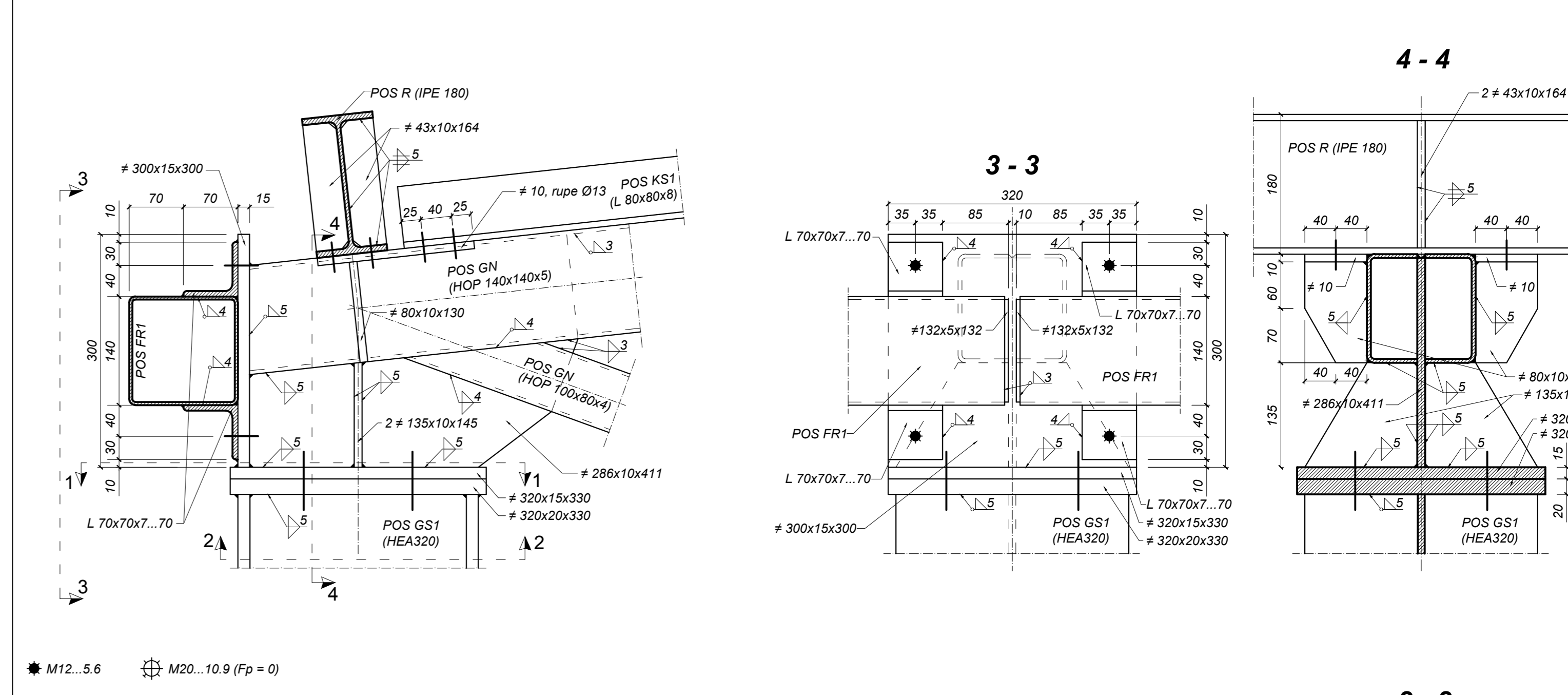
**DETALJ 2 - Veza podužnog krovnog sprega POS KS1 za rožnjaču POS R, sa detaljem zatege POS Z**



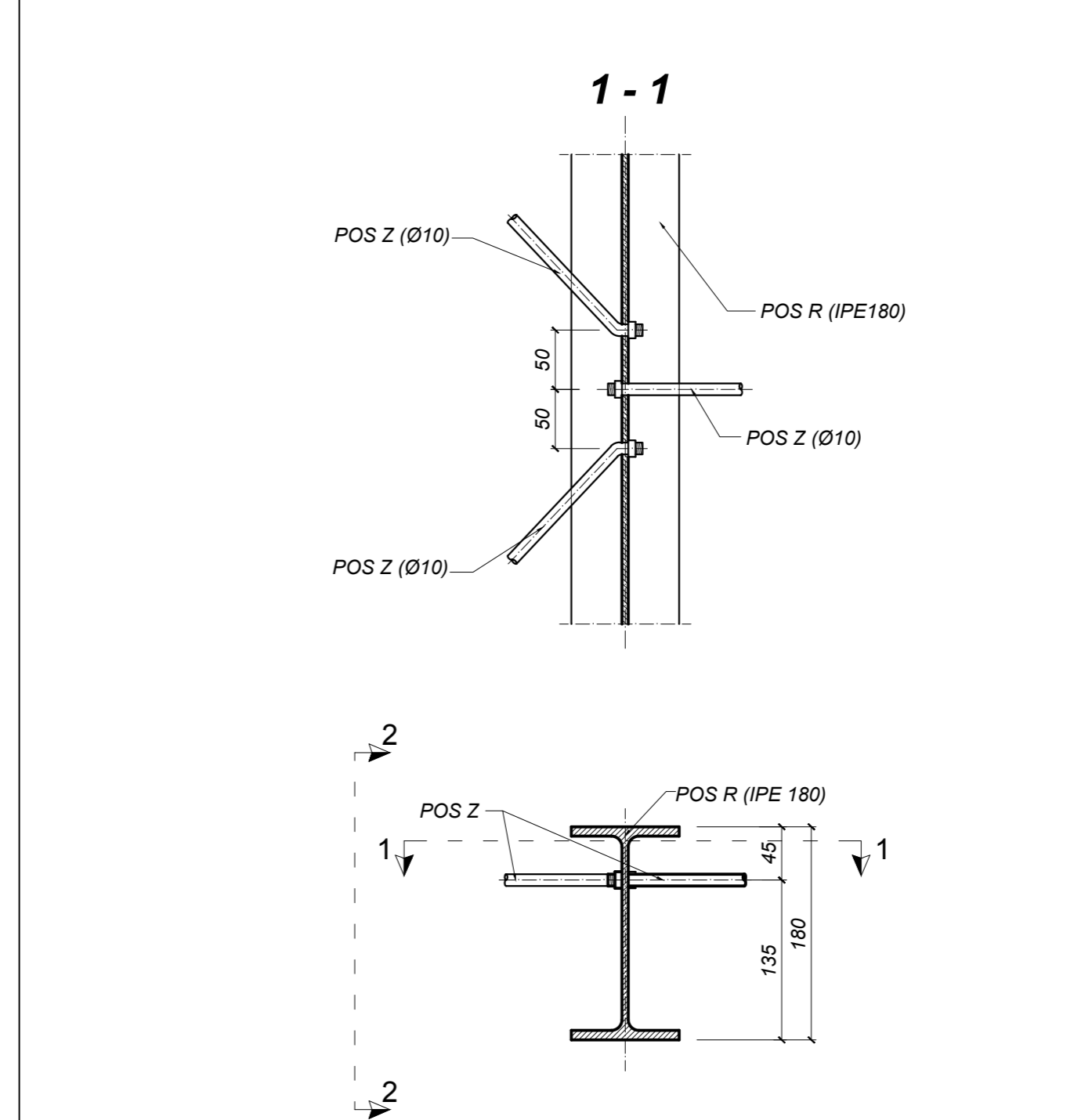
**DETALJ 4 - Oslanjanje rožnjače POS R1 na glavni nosač POS GN, sa detaljem oslanjanja glavnog nosača na glavni stub POS GS2**



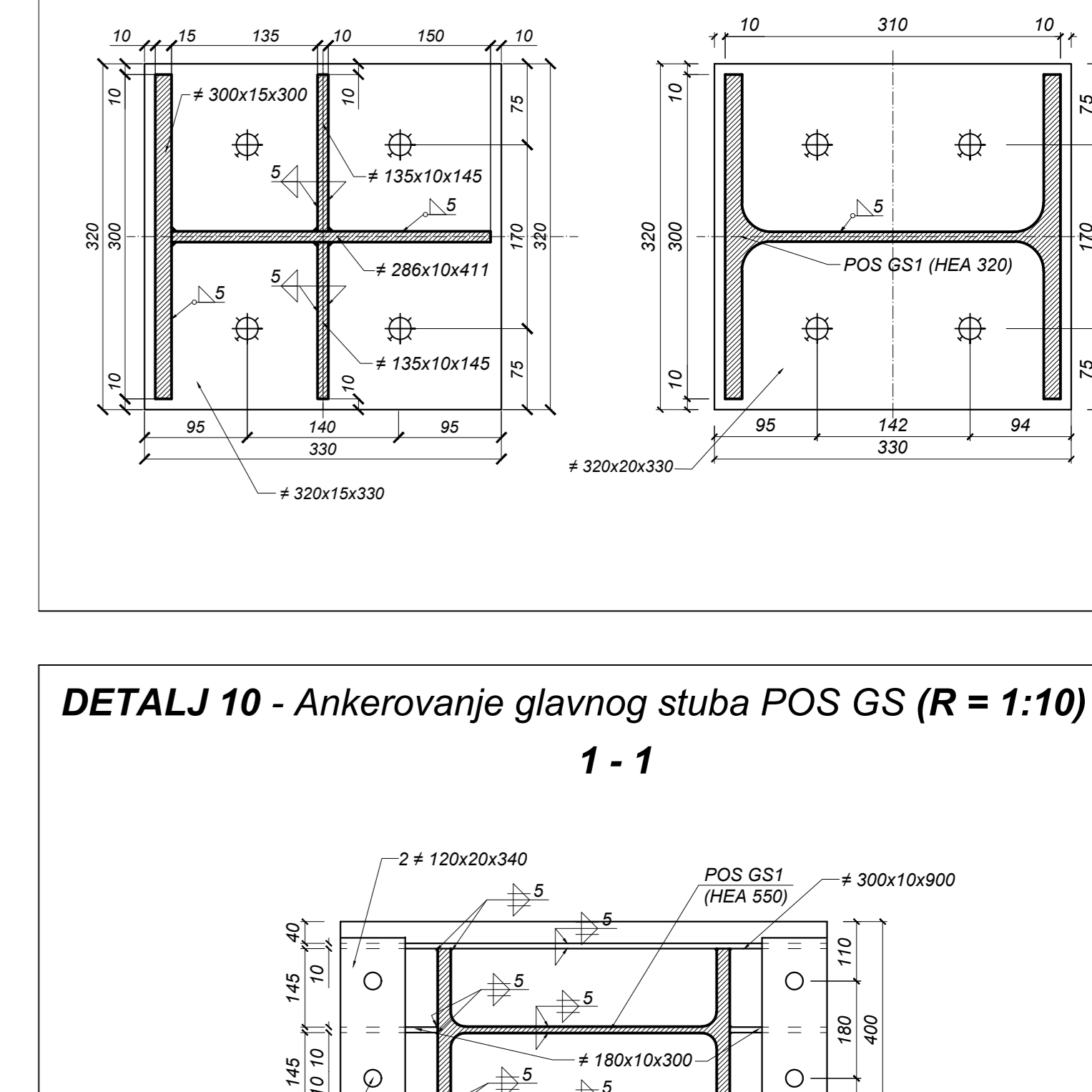
**DETALJ 3 - Oslanjanje glavnog nosača POS GN na glavni stub POS GS1 (sa rožnjačom POS R, fasadnom riglom POS FR1 i podužnim krovnim spregom POS KS1)**



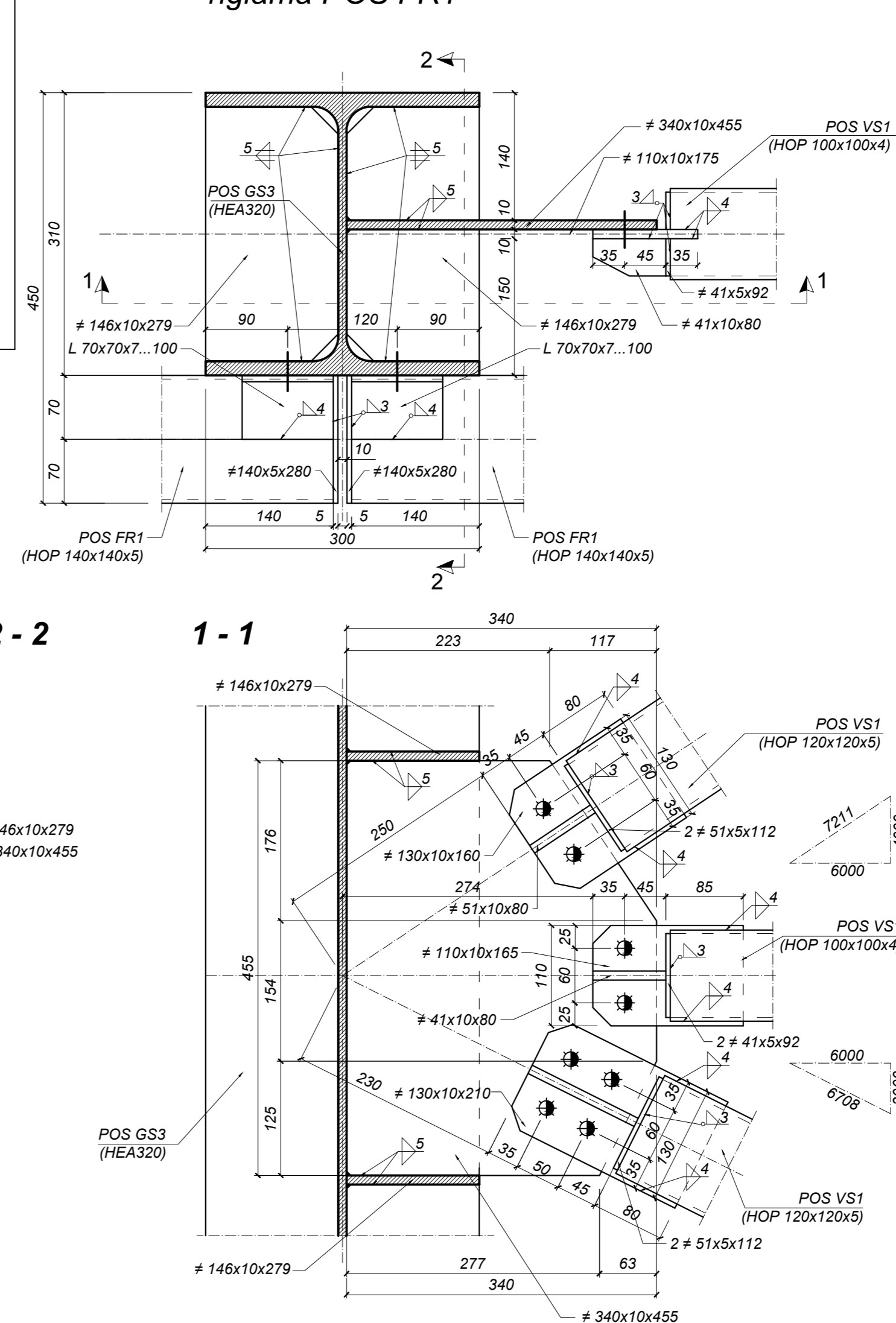
**DETALJ 11 - Veza tri zatege POS Z za rožnjaču POS R**



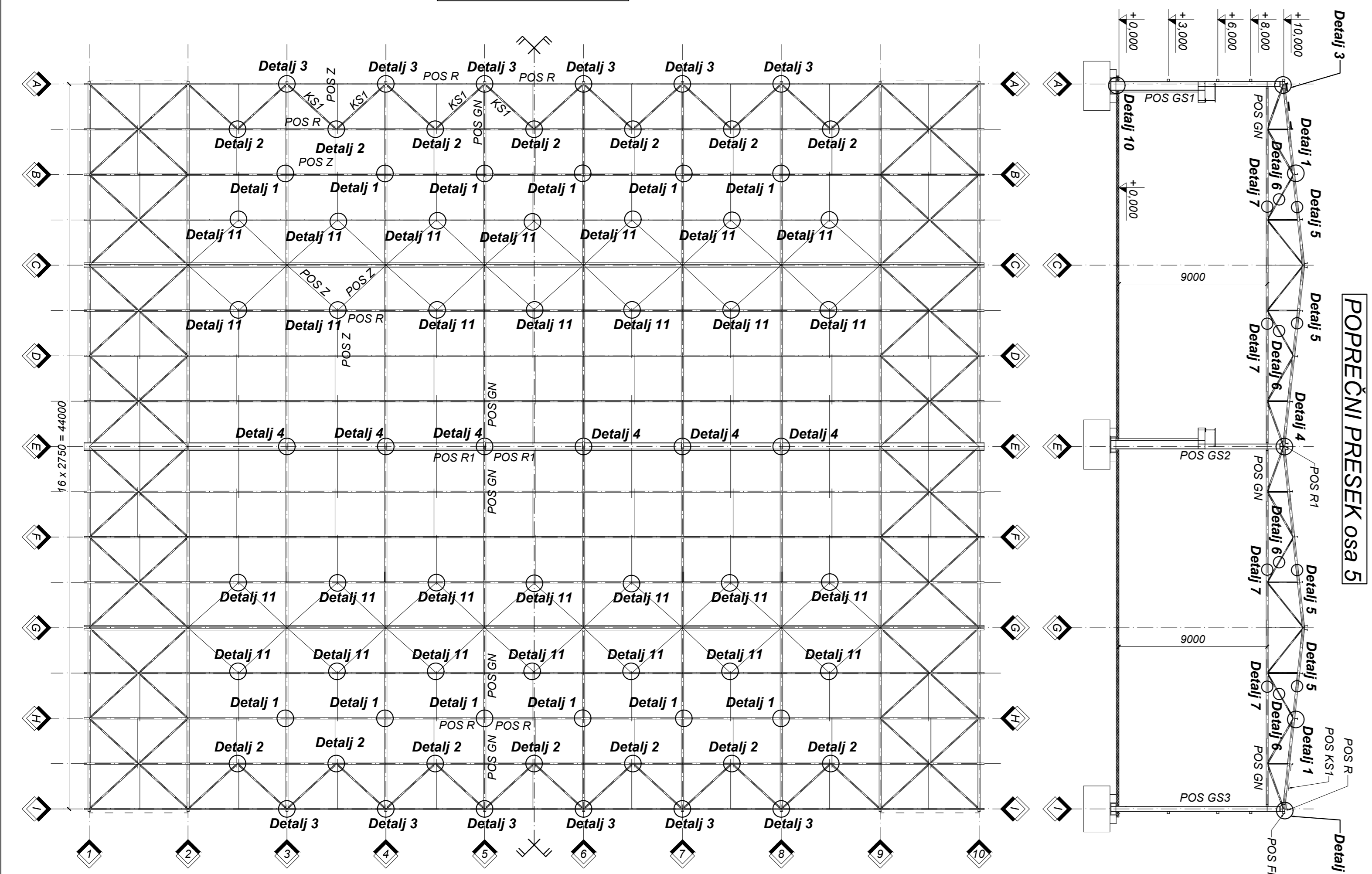
**DETALJ 10 - Ankerovanje glavnog stuba POS GS (R = 1:10)**



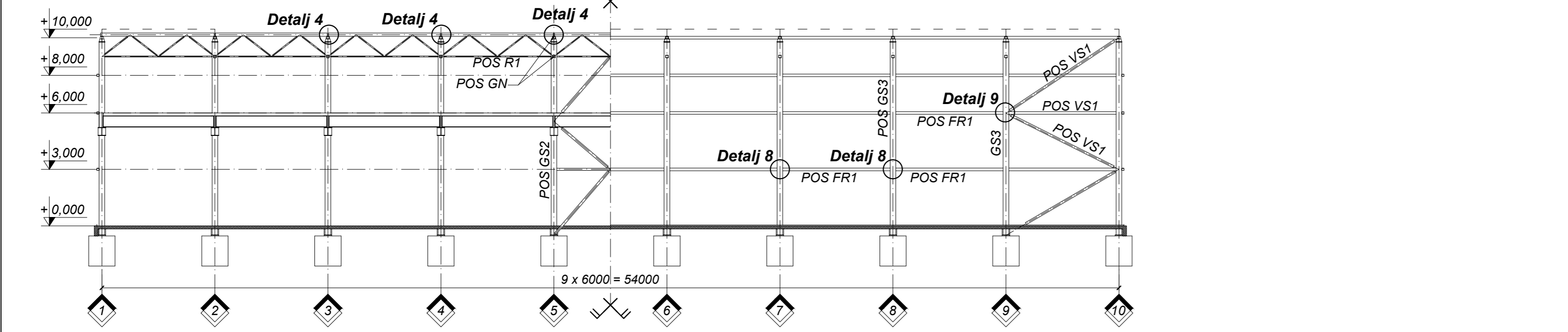
**DETALJ 9 - Čvor vertikalnog sprega POS VS1, sa fasadnim riglama POS FR1**



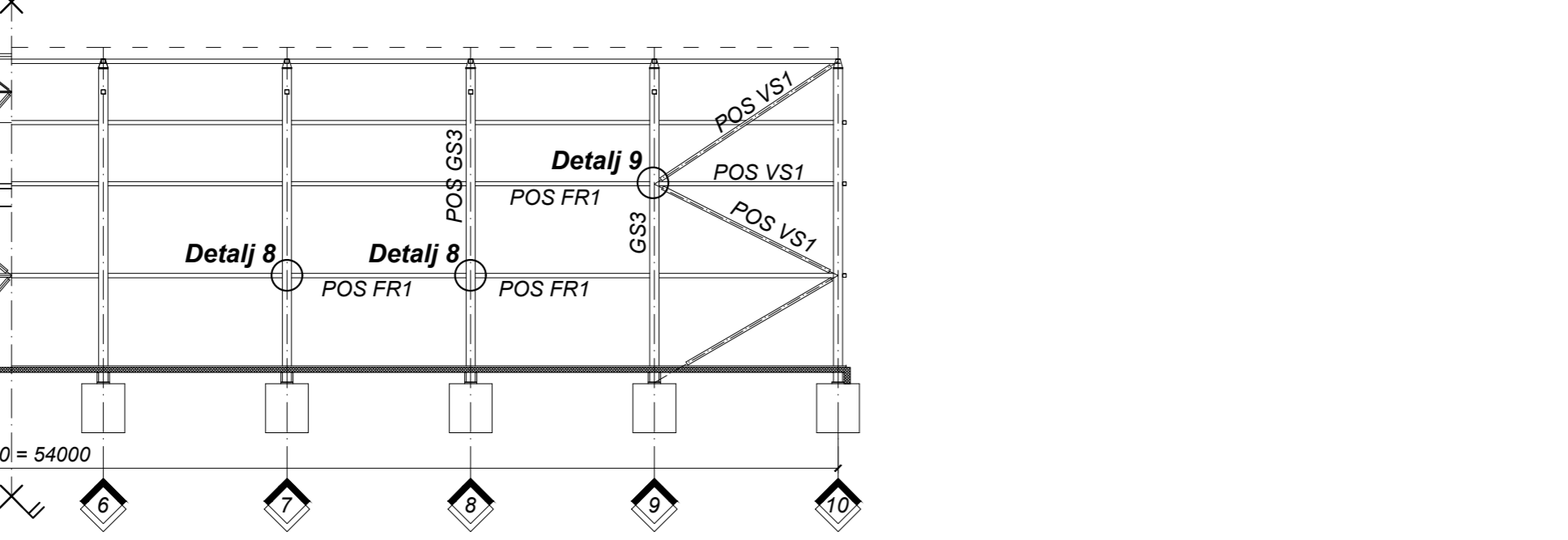
**OSNOVA KROVA**



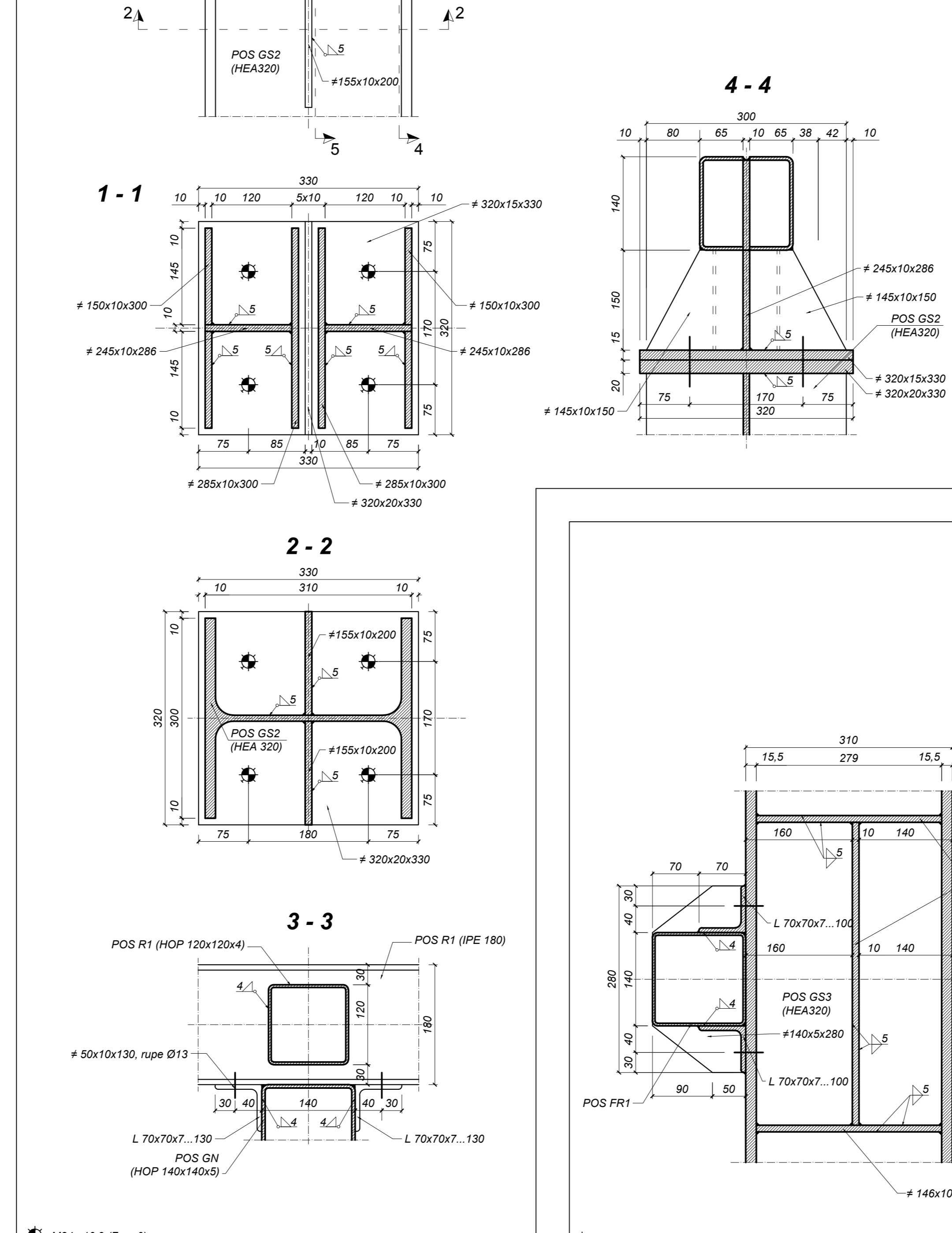
**PODUŽNI PRESEK osa E**



**PODUŽNI PRESEK osa I**



**POPREČNI PRESEK osa B**



GRAĐEVINSKI FAKULTET UNIVERZITETA U BEOGRADU	
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<b>SINTEZNI PROJEKAT</b>	
<b>KARAKTERISTIČNI DETALJI</b>	
PREDMETNI PROFESOR: <b>dr DRAGAN BUBEVAČ</b>	OVERA: MIROSLAV MARJANOVIĆ
ASISTENT: <b>mr JELENA DOBRIĆ</b>	INDEXS: 47 / 05
RAZMERA: 1:5 / 1:10	FORMAT: 841x1189
DATUM: 23.08.2009.	BROJ CRTEŽA: 2
	ŠKOLSKA GODINA: 2008 / 2009.