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# Hydrology and Sedimentology of Dynamic Rill Networks Volume II: Hydrologic Model for Dynamic Rill Networks

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**FINAL REPORT**

**HYDROLOGY AND SEDIMENTOLOGY OF DYNAMIC RILL NETWORKS**

**VOLUME II:**

**HYDROLOGIC MODEL FOR DYNAMIC RILL NETWORKS**

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## FOREWARD

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## ABSTRACT

A comprehensive model has been developed for use in modeling the hydrologic response of rill network systems. The model, which is called HYMODRIN, is composed of both a hydrologic runoff component and a hydraulic channel routing component. The hydrologic component of the model uses a Green Ampt infiltration approach linked with a nonlinear reservoir runoff model. The channel routing component of the model is based on a finite element solution of the diffusion wave equations. In order to account for backwater effects the model employs a dual level iteration scheme.

The model may be used in either a stand alone mode or as part of a comprehensive integrated rill erosion model. In the latter case, the hydrologic data for the rill network and the associated interrill flow areas is provided by a geographic-hydrologic interface model called GHIM. This model accepts data from a digital elevation model and translates it into a form compatible with the hydrologic model.

This report contains the theoretical development and operating instructions for both GHIM and HYMODRIN. Computer listings for both programs are provided.

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## HYDROLOGIC MODEL FOR DYNAMIC RILL NETWORKS

### I. INTRODUCTION

Soil erosion continues to be a major contributor to environmental pollution. Sediment yield from disturbed lands can be as much as 10,000 times that from comparable undisturbed lands, causing serious problems in our nation's waterways. Chemicals adsorbed on the exchange phase of the colloidal sediment particles add to the pollution problem. Topsoil loss resulting from erosion represents a serious drain on our natural resources.

The effectiveness of erosion control planning will be dependent upon the level of sophistication of the planning effort. Extensive data collection in the field can be done, but this is time consuming and expensive. Another option is to use mathematical models capable of simulating erosion.

Recent studies at the University of Kentucky have shown that the microrelief of a watershed can have a significant impact on the resulting erosion rates. Unfortunately, the majority of existing watershed sedimentology models fail to consider microrelief and rill network development. Instead, such models rely on generalized functional relationships whose parameter values have been synthesized from extensive field tests. As a result, these parameter values tend to reflect average conditions which may or may not be present in the actual watershed.

Recently, efforts have been made to develop a model of rill and interrill erosion in which predictions are made for each individual rill rather than gross estimates for a watershed. In order to make such predictions, it is necessary to describe the following phenomena on the watershed: (1) The location and growth of each rill, (2) The flow into and through each rill, and (3) The sediment movement into each rill and within each rill. In the current research effort these processes are modeled using a comprehensive modeling structure which integrates the separate processes into a single modeling environment.

As a result of an ongoing research effort at the University of Kentucky, a new comprehensive hydrology and sedimentology model has been developed for dynamic rill networks. The new model has the capability to identify the composition of rill networks in a watershed as well as predict the erosion and transport of sediment from the watershed in response to a specified times series of rainfall events. The model, which is called DRM5 (Dynamic Rill Model 5), is composed of five main components: a random surface generator (RSG), a digital elevation model (DEM), a geographic hydrologic interface model (GHIM), a hydrologic model (HYMODRIN), and an erosion model (DERM). For a given hydrologic response area the generation of the rill network and resulting erosion process is modeled through a serial application of each of the five subprograms (see Figure 1.1).

Starting with an initial characterization of the soil matrix and microrelief structure the development model is used to generate an initial network of preferential flow paths. The microrelief structure and preferential rill pattern are then passed to the hydrologic model which uses this information along with additional hydrologic inputs (i.e. rainfall, soil moisture storage, etc.) to generate flow depths and velocities over the entire response area. These values are then passed to the sedimentology model where they are used to determine the amount of eroded soil as well as the change to the microrelief structure of the area. Potentially, the changes to the microrelief structure could then be passed back to the rill growth model where they could be used to define a new modified rill pattern which could then passed to the hydrologic model for analysis of the next rainfall event. This cyclic process could be repeated for each rainfall event until an entire rainfall series is analyzed. The results of the model include a time series of runoff and sediment loads as well as a time-space history of the modeled response area.

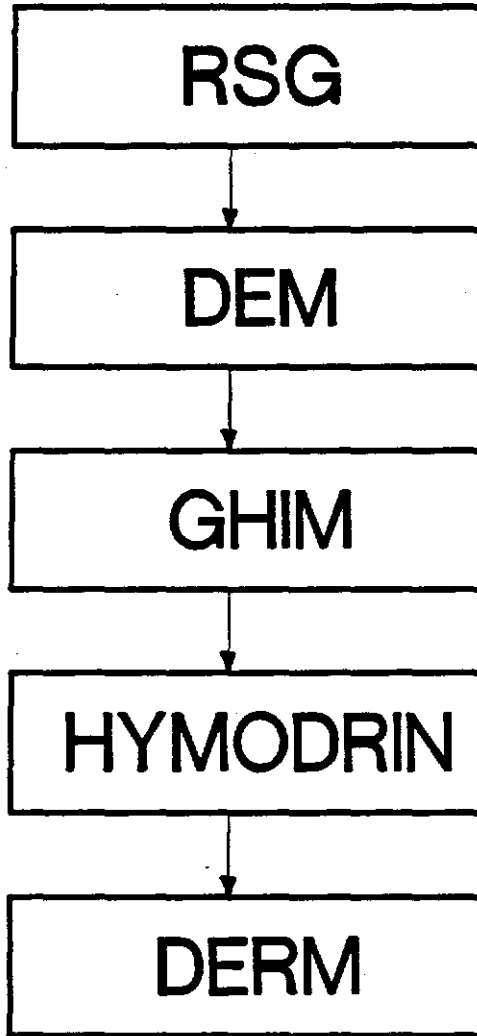


Figure 1.1. Schematic of DRM3

## II. GEOGRAPHIC-HYDROLOGIC INTERFACE MODEL

The purpose of this chapter is to describe the geographic-hydrologic interface model (GHIM) which links the rill development model with the hydrologic model. The interface model is composed of an executive block which reads the input data and makes subroutine calls to two subroutines: SRILL and IRILL. The subroutine SRILL generates the hydrologic characteristics of each subrill while IRILL generates the hydrologic characteristics of each interrill flow element. Before describing the various components of the model a brief explanation of the required rillshed characterization is provided.

### 2.1. RILLSHED CHARACTERIZATION

In using HYDROMIN, an explicit characterization of the rillshed must be provided. The program assumes that a hillslope or field may be divided into a matrix of response cells (see Figure 2.1). The resulting cells may then be grouped into distinct subsets called either subrillsheds or null-rillsheds. Subrillsheds are composed of cells which drain to a common subrill. Null-rillsheds are composed cells which do not drain to a common subrill but drain directly off the drainage area. Distinct collections of subrillsheds which drain to a common point are called rillsheds. A given hillslope or field may thus be characterized as a collection of rillsheds and null-rillsheds.

As shown in Figure 2.1., each rill network may be characterized by a number of subrills, each of which drains an associated subrillshed. Each single rill or individual subrill may be further subdivided into individual subrill elements. Each individual subrill element may accept runoff from up to two adjacent interrill flow elements and from an additional upstream element (either another subrill element or an upstream source element). Each of these various components is illustrated in Figure 2.1.

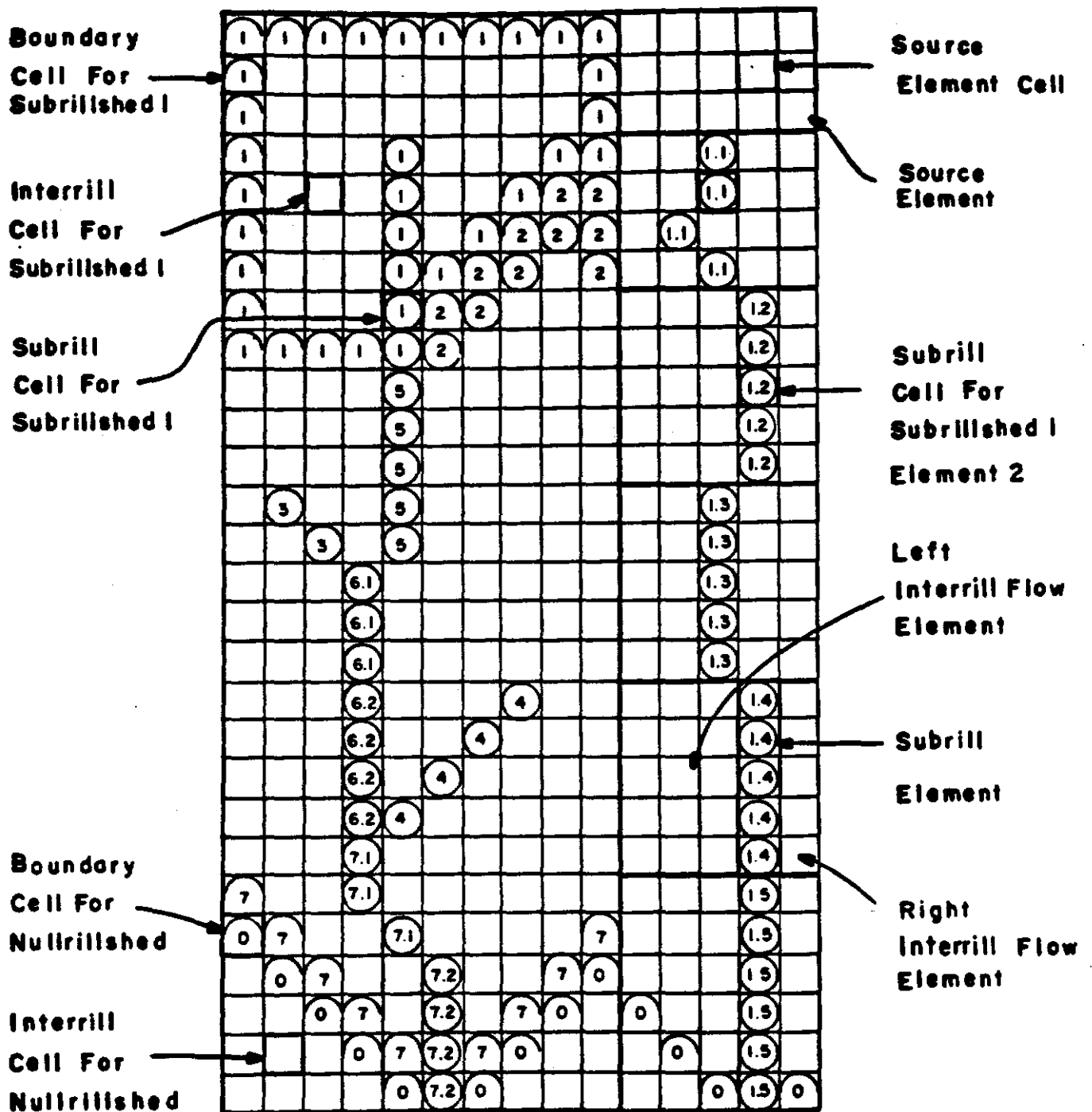


Figure 2.1. Rillshed Characterization

Note: A period in a subrillshed denotes elements, i.e., 6.1, 6.2, etc. If subrillshed 6 had only one element, it would be denoted as 6 without a period and a suffix.

## 2.2. GEOGRAPHIC DATA FILES

The geographic-hydrologic interface program requires four different input data files in order to generate the network characteristics required by HYDROMIN. Each file is generated by the rill development model (RDM). These files include: NDATA, SDATA, IDATA, and EDATA. Using these four files GHIM creates a single output file (i.e., HDATA) for use by HYDROMIN (see Figure 2.2). Detailed descriptions of the formats of each file are provided in Appendix A.

The NDATA data file contains descriptive information on how the rill network is arranged along with the total number of subrill cells and interrill cells associated with each subrillshed. The SDATA file contains the X and Y coordinates of the cells associated with each subrill identified in the NDATA file. This file also contains the cumulative number of upstream cells associated with each subrill cell. The IDATA file contains the X and Y coordinates of the interrill cells associated with each subrillshed and each nullrillshed identified in the NDATA file. Finally, the EDATA file contains the elevation of each cell in the hydrologic response grid.

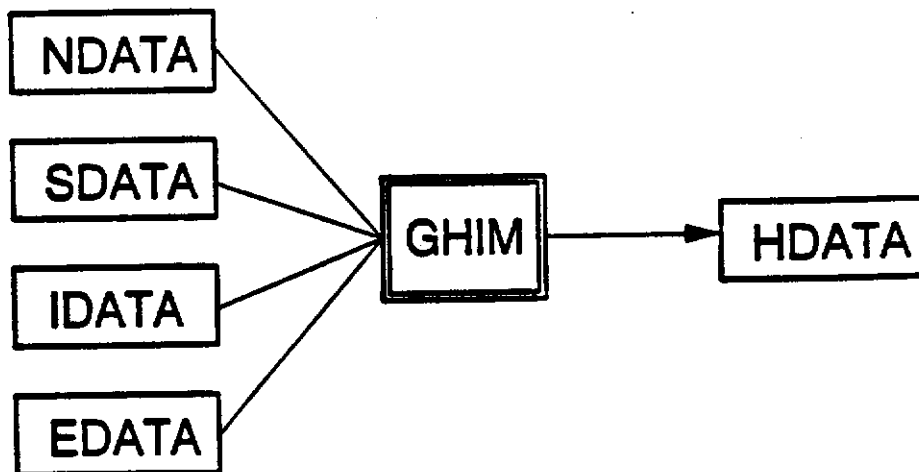


Figure 2.2 Geographic Data Files



## 2.3. HYDROLOGIC PARAMETERS

The geographic-hydrologic interface model (GHIM) reads each of the previously discussed input files, processes the data, and then creates a single output file for use with HYDROMIN. The interface program uses information from the input files to generate area, length, slope and roughness of each flow element. The algorithms used to generate these values from the input geographic information are discussed in the following sections.

### 2.3.1. Interrill Flow Area

Each subrillshed may be subdivided into several pairs of interrill flow elements, with one element on both sides of each subrill element. The total number of interrill flow elements can be obtained by first specifying the number of subrill cells to be associated with each interrill flow element. Once this value has been set, the total number of interrill flow elements for a particular subrillshed may be obtained from the following equation:

$$NIRE_{ij} = 2 * \left[ \frac{TSRC_{ij}}{NCPE} \right] \quad (2.1)$$

where  $NIRE_{ij}$  = the number of interrill elements associated with rill  $i$  and subrill  $j$ ,  $TSRC_{ij}$  = the total number of subrill cells associated with rill  $i$  and subrill  $j$ , and  $NCPE$  = the number of subrill cells per subrill element. The actual interrill cells associated with each interrill element can be identified by considering the cells in the rows bounded between the first and last subrill cells associated with the corresponding subrill element. The interrill cells associated with the left element can be identified by only considering those cells left of the subrill element while the interrill cells associated with the right element can be identified by only considering those cells right of the subrill element. The flow area for each interrill flow element is then obtained by multiplying the number of cells contained in the element by the unit area of each cell.

### 2.3.2. Element Flow Length

The length of each interrill flow element is obtained by averaging the lengths of each horizontal row of cells contained in the flow element (see Figure 2.3). Mathematically this may be expressed as:

$$L_{ijkl} = \frac{1}{N_k} \sum_{n=1}^{N_k} L_{ln} \quad \text{for } l = 1, 2 \quad (2.2)$$

where  $i$  = the rill index,  $j$  = the subrill index,  $k$  = the subrill element index,  $l$  = the interrill element index (1 = left element, 2 = right element), and  $N_k$  = the number of rows associated with subrill element  $k$ .

The length of each source flow element is obtained by averaging the lengths of each vertical column of cells contained in the flow element (see Figure 2.4). Mathematically this may be expressed as:

$$L_{ij} = \frac{1}{N_j} \sum_{n=1}^{N_j} L_n \quad (2.3)$$

where  $N_j$  = the number of columns associated with source element  $j$ .

### 2.3.3. Element Flow Slope

The slope of each interrill flow element is obtained by averaging the slope of each horizontal row of cells contained in the flow element. Mathematically, this may be expressed as:

$$S_{ijkl} = \frac{1}{N_k} \sum_{n=1}^{N_k} \frac{EIRBC_{ln} - ESRC_{ln}}{L_{ln}} \quad \text{for } l = 1, 2 \quad (2.4)$$

where  $EIRBC_n$  = the elevation of the interrill boundary cell associated with row  $n$ , and  $ESRC_n$  = the elevation of the subrill cell associated with row  $n$ .

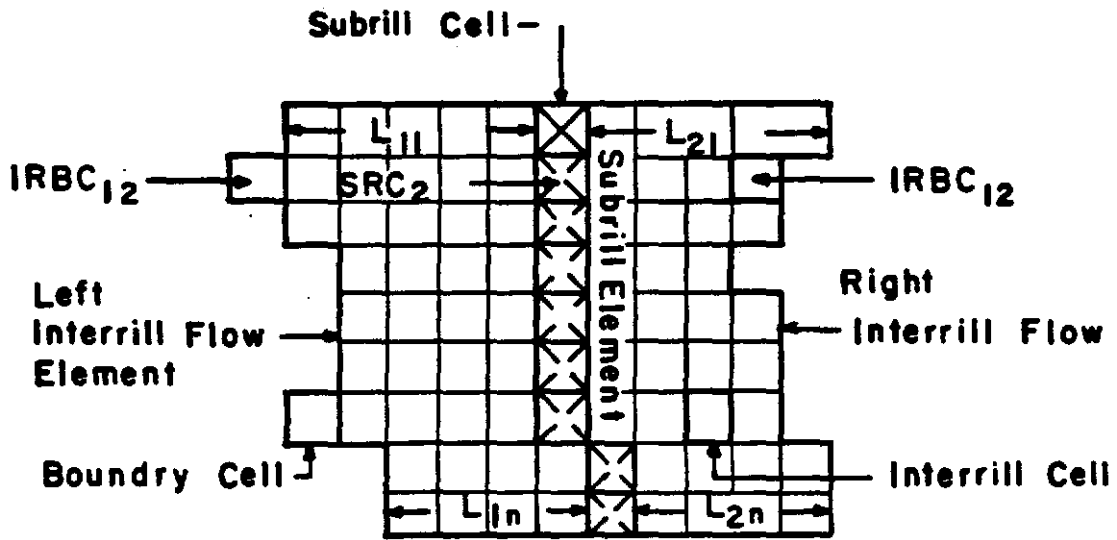


Figure 2.3 Interrill Element Characteristics

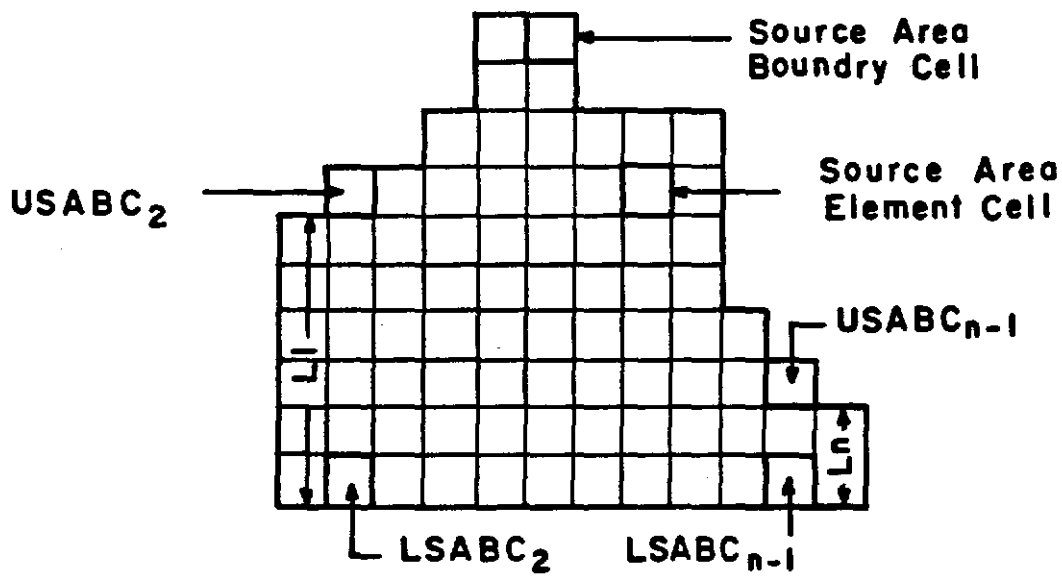


Figure 2.4 Source Element Characteristics

The slope of each source flow element is obtained by averaging the slopes of each vertical row of cells contained in the flow element. Mathematically, this may be expressed as:

$$S_{ij} = \frac{1}{N_j} \sum_{n=1}^{N_j} \frac{EUSABC_n - ELSABC_n}{L_n} \quad (2.5)$$

where  $EUSABC_n$  = the elevation of the upper source area boundary cell associated with column  $n$ , and  $ELSABC_n$  = the elevation of the lower source area boundary cell associated with column  $n$ .

#### 2.3.4. Initial Random Roughness

The initial random roughness of each flow element is assumed to be equal to the standard error associated with the plane fit through the elevations associated with the cells in each interrill flow element. Mathematically, the random roughness may be expressed as:

$$RR_{ijkl} = \sqrt{\frac{SR}{N_{ijkl} - 3}} \quad (2.6)$$

where  $N_{ijkl}$  = the number of cells associated with flow element  $ijkl$  (where  $k$  and  $l = 0$  for each source element) and  $SR$  = the standard error which may be expressed as:

$$SR = \sum_{n=1}^{N_{ijk}} (E_n - a_0 - a_1 * X_n - a_2 * Y_n)^2 \quad (2.7)$$

where  $N_{ijk}$  = the total number of interrill cells associated with flow element  $ijk$  (where  $k$  and  $l = 0$  for each source element),  $E_n$  = the elevation associated with cell  $n$ ,  $X_n$  = the X coordinate associated with cell  $n$ ,  $Y_n$  = the Y coordinate associated with cell  $n$ , and  $a_0, a_1,$  and  $a_2$  are the coefficients of the best fit plane. These coefficients may be obtained

by solving the following set of normal equations.

$$na_0 + \sum X_i a_1 + \sum Y_i a_2 = \sum E_i$$

$$\sum X_i a_0 + \sum X_i^2 a_1 + \sum X_i Y_i a_2 = \sum X_i E_i$$

$$\sum Y_i a_0 + \sum X_i Y_i a_1 + \sum Y_i^2 a_2 = \sum Y_i E_i \quad (2.8)$$

#### 2.4. PROGRAM EXECUTION

When executing GHIM, the user must specify the total number of subrill data sets contained in the NDATA, SDATA, and IDATA files as well as the maximum number of rows and columns associated with the EDATA set. The user must also specify the number of cells per element (i.e. NCPE) which is used in Eq. (2.1) to determine the total number of elements associated with each subrill. Detailed instructions for use of the geographic-hydrologic interface model (GIHM) are provided in Appendix A.

### III. DETERMINISTIC HYDROLOGIC MODEL

The purpose of this chapter is to describe the deterministic hydrologic model. The deterministic hydrologic model is called HYMODRIN (HYdrologic Model Of Dynamic Rill Networks) and can be used in the DRM3 program environment or it can be applied as a stand alone model. The deterministic model is composed of an executive block which reads in the input data and makes subroutine calls to five different subroutines (see Figure 3.1). These subroutines include: RAINFALL, EXCESS, RUNOFF, RILL, ROUTE. Each of these subroutines are discussed in the following sections.

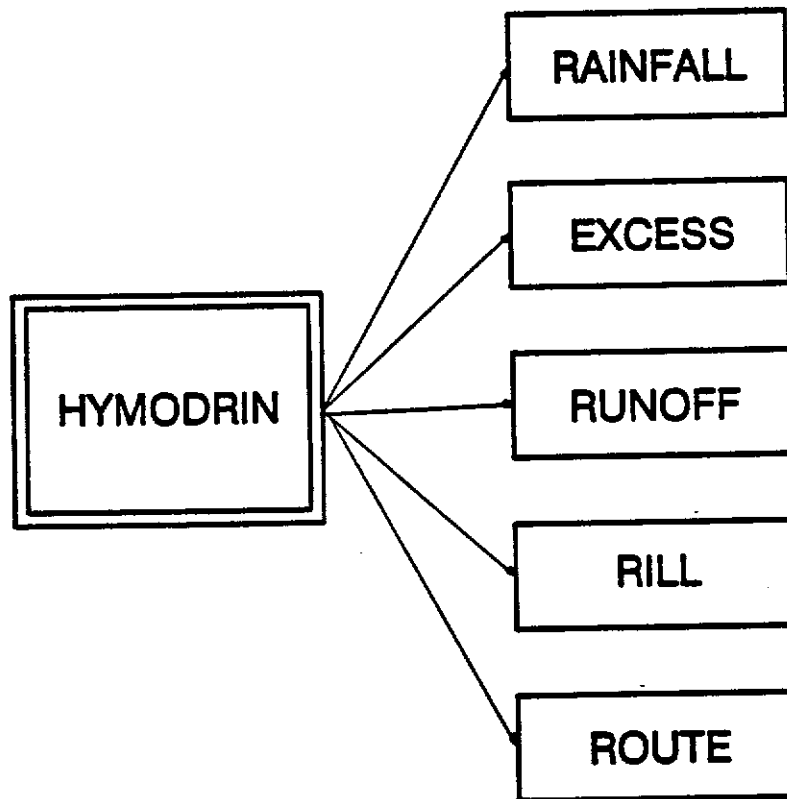


Figure 3.1. Flowchart of HYDROMIN

### 3.1. RAINFALL SUBROUTINE

The RAINFALL subroutine reads in the rainfall data and disaggregates the values into a time interval compatible with the computation interval of the main program. This subroutine also determines the kinetic energy associated with the rainfall event.

#### 3.2.1. Rainfall Kinetic Energy

The cumulative kinetic energy for a rainfall event is determined in RAINFALL. The cumulative kinetic energy is used in the program to determine the decrease in depression storage over time. The cumulative kinetic energy  $CKE_t$  ( $joules/cm^2$ ) at time  $t$  for a storm of duration  $T$  may be determined as follows (Wischmeier and Smith, 1958).

$$CKE_t = .0001 \sum_{i=1}^t (11.9 + 8.73 * \text{Log}(r_i)) * r_i * \delta_t \quad (3.1)$$

where  $r_i$  = the rainfall intensity for time step  $i$ , ( $mm/hr$ ), and  $\delta t$  = hours.

### 3.2. EXCESS SUBROUTINE

The EXCESS subroutine determines the rainfall excess vector for the total rill system. Infiltration is computed using a dual layer Green Ampt model.

#### 3.2.1. The Green Ampt Equation

In using the Green Ampt (1911) equation the infiltration process is conceptualized as a plug flow process in which a saturated plug moves down vertically through the soil matrix (see Figure 3.2). The Green Ampt equation assumes that the infiltration rate  $f$  ( $cm/hr$ ) can be expressed as a function of the hydraulic conductivity  $K$  ( $cm/hr$ ), the depth to the wetting front  $L$  ( $cm$ ), and the average capillary suction across the wetting front  $S$  ( $cm$ ). This relationship may be expressed as:

$$f = \frac{K(L + S)}{L} \quad (3.2)$$

Noting that the cumulative infiltration,  $F$  (cm), may be expressed as:

$$F = (\theta_s - \theta_i) L \quad (3.3)$$

where  $\theta_s$  is the saturated moisture content and  $\theta_i$  is the initial moisture content, the Green Ampt equation can now be expressed as:

$$f = K \left( 1 + \frac{IMD * S}{F} \right) \quad (3.4)$$

where  $IMD$  is the initial moisture deficit (fraction) which is the difference between the saturated moisture content and the initial moisture content. Integration of Eq. (3.4) yields the cumulative form of the Green Ampt equation:

$$F - S * IMD * \ln \left( 1 + \frac{F}{S * IMD} \right) = K * t \quad (3.5)$$

where  $t$  = cumulative time in hours. This equation is nonlinear in terms of  $F$ . It may be solved by the method of successive substitution by rearranging it to read:

$$F = K * t + S * IMD * \ln \left( 1 + \frac{F}{S * IMD} \right) \quad (3.6)$$

Given  $K$ ,  $t$ ,  $S$ , and  $IMD$ , a trial value of  $F$  is substituted on the right hand side and a new value of  $F$  is calculated on the left hand side. This new value may be substituted on the right hand side and the process repeated until the calculated values of  $F$  converge to a constant. A good value to use for an initial estimate of  $F$  is  $K * t$  (Chow, et. al., 1988).



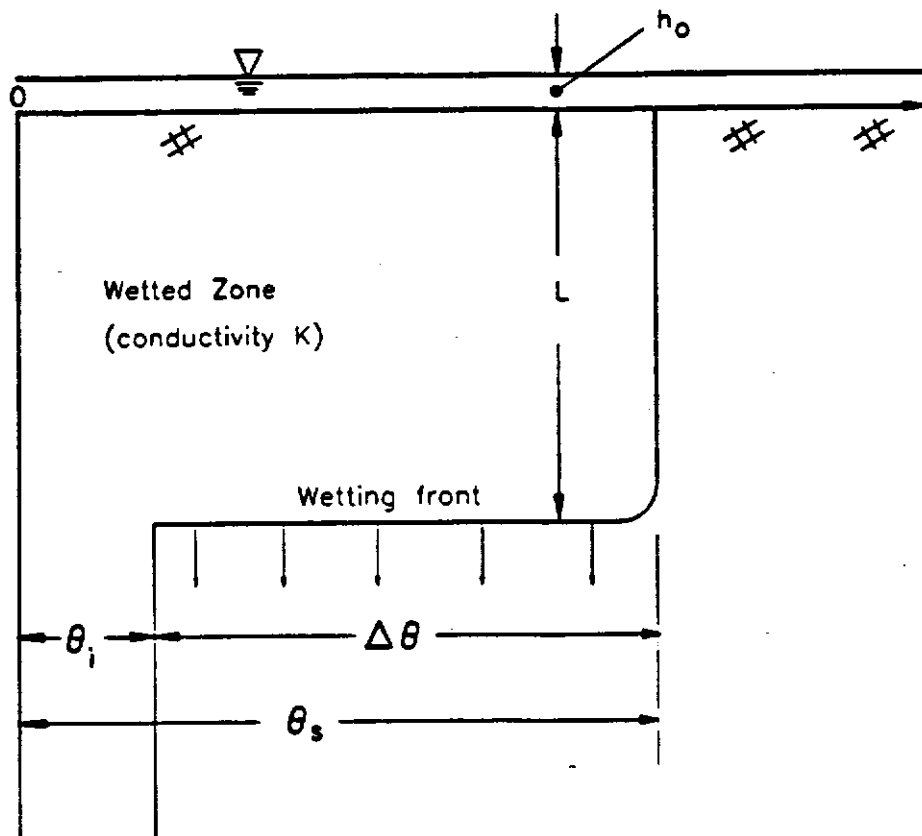


Figure 3.2 Green Ampt Infiltration Model

### 3.2.2. Two Layer Green Ampt Equation

The infiltration model used in HYDROMIN is based on a two layer application of the Green Ampt equation (Chow et. al., 1988), and may be conceptualized as shown in Figure 3.3. In this model the soil matrix is divided into two layers. The upper layer has Green-Ampt parameters of  $K_1$ ,  $S_1$ , and  $IMD_1$  while the lower layer has Green-Ampt parameter of  $K_2$ ,  $S_2$ , and  $IMD_2$ . As long as the wetting front is above the second layer (i.e.  $L < F/IMD_1$ ) the infiltration rate is given by Eq. (3.4) and the cumulative infiltration volume may be determined by Eq. (3.6). If the wetting front extends beyond the upper layer (i.e.  $L > F/IMD_1$ ) then the infiltration rate is given by:

$$f = \frac{K_1 K_2}{H_1 K_2 + L_2 K_1} (S_2 + H_1 + L_2) \quad (3.7)$$

and the cumulative infiltration is given by:

$$F = H_1 IMD_1 + L_2 IMD_2 \quad (3.8)$$

By combining Eqs. (3.7) and (3.8) into a differential equation for  $L_2$  and integrating one obtains:

$$L_2 \frac{IMD_2}{K_2} + \frac{1}{K_1 K_2} \left[ IMD_2 H_1 K_2 - IMD_2 K_1 (S_2 + H_1) \right] \ln \left( 1 + \frac{L_2}{S_2 + H_1} \right) = t \quad (3.9)$$

As with Eq. (3.6) this equation may be solved in terms of  $L_2$  using successive substitution. Once the value of  $L_2$  has been obtained it can be used to determine both  $f$  and  $F$  using Eqs (3.7) and (3.8).

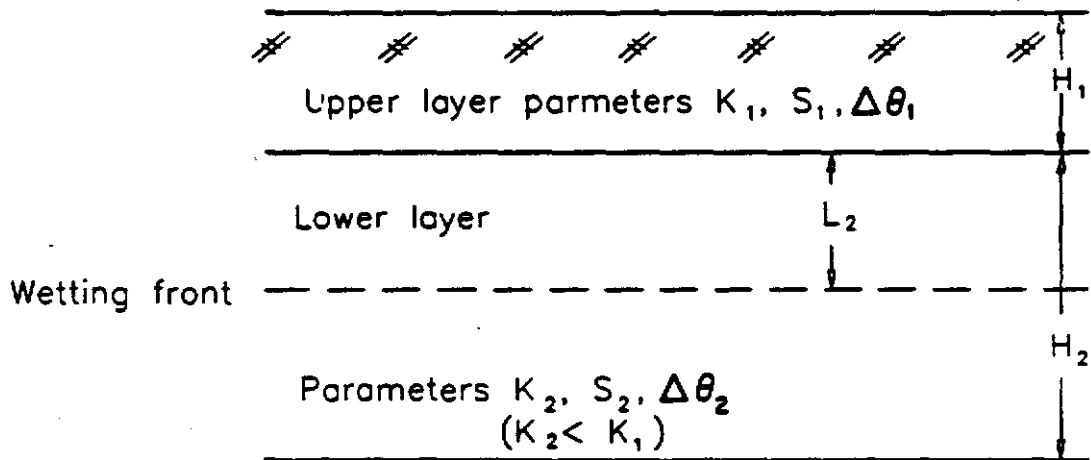


Figure 3.3 Two Layer Green Ampt Model

### 3.2.3. Boundary Conditions

Equations (3.4) and (3.5) are only valid if water is ponded on the surface of the soil. For those instances where the soil surface is not initially saturated the equations must be modified to account for the time it takes for the soil to become saturated, which is known as the ponding time. For the case of a constant rainfall intensity  $r$  ( $cm/hr$ ), the ponding time may be expressed as:

$$t_p = \frac{K * S * IMD}{r * (r - K)} \quad (3.10)$$

The volume of water that must be infiltrated before the soil surface becomes saturated is known as the ponding volume. This volume may be expressed as:

$$F_p = r * t_p \quad (3.11)$$

Both Eqs. (3.10) and (3.11) are based on the assumption that all rainfall infiltrates the soil prior to the ponding time. In order to reflect the impact of antecedent ponding volume on the Green-Ampt infiltration equation, the time axis of the infiltration curve must be shifted to a new time origin  $t_o$ . The value of the new time origin may be obtained using the following equation:

$$t_o = t_p - \frac{1}{K} \left[ F_p - S * IMD * \ln \left( 1 + \frac{F_p}{S * IMD} \right) \right] \quad (3.12)$$

### 3.2.4. Computation Methodology

The computation steps required to evaluate the two layer Green-Ampt equation may be summarized as follows:

- 0) Determine  $t_p$ ,  $F_p$ , and  $t_o$  for given values of  $K_1$ ,  $S_1$ ,  $IMD_1$ , and  $r$ .
- 1) Determine the initial incremental infiltration volume  $\Delta F$  where
$$\Delta F = r \Delta t.$$
- 2) Determine the cumulative infiltration volume for time step  $t$  where
$$F_t = F_{t-1} + \Delta F.$$
- 3) If  $F_t < F_p$ , set  $f = r$  and go to 9), otherwise continue.
- 4) Determine the infiltration volume in the first layer (i.e.  $F_1$ ) using Eq. (3.6) with  $t = t - t_o$ .
- 5) If the wetting front is in the upper layer (i.e.  $H_1 > F/IMD_1$ ) then determine  $f$  using Eq. (3.4) (where  $t = t - t_o$  and go to 9) otherwise continue.
- 6) Determine the depth of the wetting front in the second layer (i.e.  $L_2$ ) using Eq. (3.9) where  $t = t - t_o$ .
- 7) Determine the cumulative infiltration using Eq. (3.8).
- 8) Determine the current infiltration rate using Eq. (3.7).
- 9) Determine the rainfall excess intensity  $e$ , where  $e = r - f$ .
- 10) Update the time step and return to step 1.

### 3.2.5. Infiltration Parameters

Application of the Green Ampt equation requires estimates of the hydraulic conductivity  $K$ , the initial soil moisture content  $IMD$ , and the wetting front suction head  $S$ . The initial soil moisture deficit can be expressed as:

$$IMD = (\theta_s - \theta_i) \quad (3.13)$$

where  $\theta_s$  is the saturated moisture content and  $\theta_i$  is the initial moisture content. While  $\theta_i$  will be a function of the antecedent rainfall conditions, the remaining required parameters (i.e.  $K$ ,  $\theta_s$ , and  $S$ ) are a function of the soil characteristics. Estimates of these parameters may be obtained using Table 3.1 (Rawls, et. al., 1983).

Table 3.1 Green Ampt Infiltration Parameters

Soil class	Saturated Moisture Content $\theta_s$	Wetting Front Soil Suction head (cm) $S$	Hydraulic Conductivity (cm/hr) $K$
Sand	0.437 (0.374-0.500)	4.95 (0.97-25.36)	11.78
Loamy sand	0.437 (0.363-0.506)	6.13 (1.35-27.94)	2.99
Sandy loam	0.453 (0.351-0.555)	11.01 (2.67-45.47)	1.09
Loam	0.463 (0.375-0.551)	8.89 (1.33-50.38)	0.34
Silt loam	0.501 (0.420-0.582)	16.69 (2.92-95.39)	0.65
Sandy clay loam	0.398 (0.333-0.464)	21.85 (4.43-106.0)	0.15
Clay loam	0.464 (0.409-0.519)	20.88 (4.79-91.10)	0.10
Silty clay loam	0.471 (0.418-0.524)	27.30 (5.67-131.50)	0.10
Sandy clay	0.430 (0.370-0.490)	23.90 (4.08-140.2)	0.06
Silty clay	0.479 (0.425-0.533)	29.22 (6.13-139.4)	0.05
Clay	0.475 (0.427-0.523)	31.63 (6.39-156.5)	0.03

Table ranges in parenthesis

### 3.3. RUNOFF SUBROUTINE

The RUNOFF subroutine determines the runoff from each interrill flow element using a nonlinear reservoir approach. This subroutine also calculates the depression storage and the Chezy roughness coefficient for each flow element. In HYDROMIN, the depression storage is allowed to vary with time as a function of changes in the random roughness of the plane. The random roughness of each plane will decrease over time as a function of the cumulative kinetic energy applied to the plane.

#### 3.3.1. Nonlinear Reservoir Model

All interrill flow hydrographs are generated using a nonlinear reservoir approach. The flow equations for the nonlinear reservoir are obtained by combining Chezy's equation with a finite difference representation of the continuity equation to yield the following nonlinear relationship (Huber et. al., 1981):

$$F(\delta d) = \delta d - \delta t (\alpha_e d^{3/2} + e) \quad (3.14)$$

where  $\delta d = d_2 - d_1$  (ft);  $d_2$  = the interrill flow depth at time step 2 (ft);  $d_1$  = the interrill flow depth at time step 1 (ft);  $\delta t$  = the time interval (sec);  $\alpha_e$  = overland flow element constant;  $d = d_1 - d_s + \frac{\delta d}{2}$  (where  $d_s$  = the depression storage); and  $e$  = the rainfall excess intensity during time interval  $\delta t$  (ft/sec). The interrill flow element constant  $\alpha_e$  may be expressed as follows:

$$\alpha_e = \frac{-(C*W*S^{3/2})}{A_e} \quad (3.14)$$

where  $C$  = Chezy's roughness coefficient;  $W$  = the width of the interrill flow element (ft);  $S$  = the slope of the interrill flow element (ft/ft); and  $A_e$  = the surface area of the interrill flow element (ft<sup>2</sup>). Eq. (3.15) may be solved in terms of  $\delta d$  for each time step

using Newton's method. Once  $\delta d$  has been determined, the corresponding discharge may be obtained from Chezy's equation.

### 3.3.2. Depression Storage

The subroutine STORE utilizes the interrill flow element slope and initial random roughness to estimate the initial available depression storage using curves developed by Linden (1979). The representation of these curves for use in HYMODRIN is based on a four point Lagrangian approximation developed by Hirshi (1985). A plot of the equations are shown in Figure 3.4.

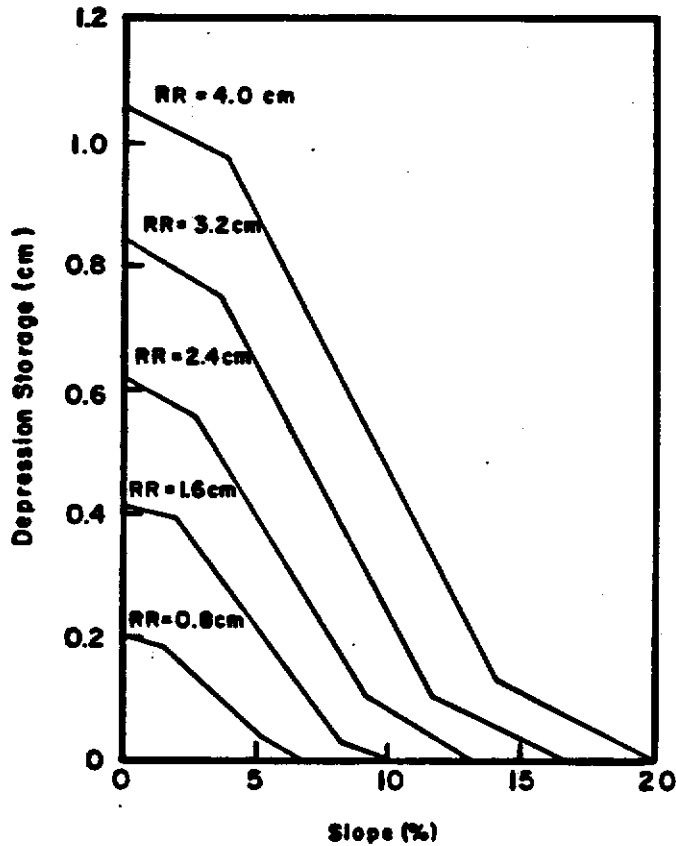


Figure 3.4 Roughness Curves



### 3.3.3. Random Roughness

The element depression storage is a function of the random roughness of the element. As the random roughness changes over time so will the associated value of the depression storage element for a particular time step can be expressed as a function of the initial random roughness  $RR_0$  and the cumulative kinetic energy  $CKE_t$  ( $joules/cm^2$ ) as follows (Moore, 1979):

$$RR_t = RR_0 e^{-2 * CKE_t} \quad (3.16)$$

### 3.3.4. Chezy Roughness Coefficient

The Chezy roughness coefficient for the interrill response elements can be obtained using the following relationship (Gilley et. al., 1989):

$$C = \left[ \frac{8g}{f} \right]^{1/2} \quad (3.17)$$

where:

$$f = 4.0 * \left[ \frac{3.42^{clay}}{12.42^{sand}} \right] \quad (3.18)$$

and where  $g$  = the gravitational constant,  $sand$  = the fraction of sand, and  $clay$  = the fraction of clay.

### 3.4. RILL SUBROUTINE

The RILL subroutine generates the required data for each subrill element. This includes the finite element data required by ROUTE for use in routing the resulting hydrographs, as well as the width of each subrill.

#### 3.4.1. Determination of the Subrill Width

The width of each subrill in each rill network is determined using the equilibrium width model of Lane and Foster (1980). This model assumes that the geometry of each rill may be approximated with a rectangular cross section. Using this model, the width of each rill may be expressed as follows:

$$W_r = \left( \frac{qn}{S^{1/2}} \right)^{3/8} \frac{W_e}{R_e^{5/8}} \quad (3.19)$$

where  $W_r$  = the width of the rill (m),  $q$  = the peak discharge in the rill ( $m^3/s$ ),  $n$  = the Mannings roughness coefficient,  $S$  = the rill slope (m/m),  $W_e$  = the normalized rill width, and  $R_e$  = the normalized hydraulic radius. Both the normalized width ( $W_e$ ) and the normalized hydraulic radius ( $R_e$ ) may be expressed as a function of the rill conveyance parameter  $x_e$ , as shown in Figures 3.5 and 3.6. The rill conveyance parameter  $x_e$  can likewise be expressed as a function of the rill conveyance function as shown in Figure 3.7. The rill conveyance function can be expressed as a function of the physical characteristics of the rill as follows:

$$g(x_e) = \left( \frac{qn}{S^{1/2}} \right)^{3/8} \frac{\gamma S}{\tau_c} \quad (3.20)$$

where  $\tau_c$  = the critical tractive force of the soil ( $N/m^2$ ), and  $\gamma$  = the specific weight of water ( $N/m^3$ ).

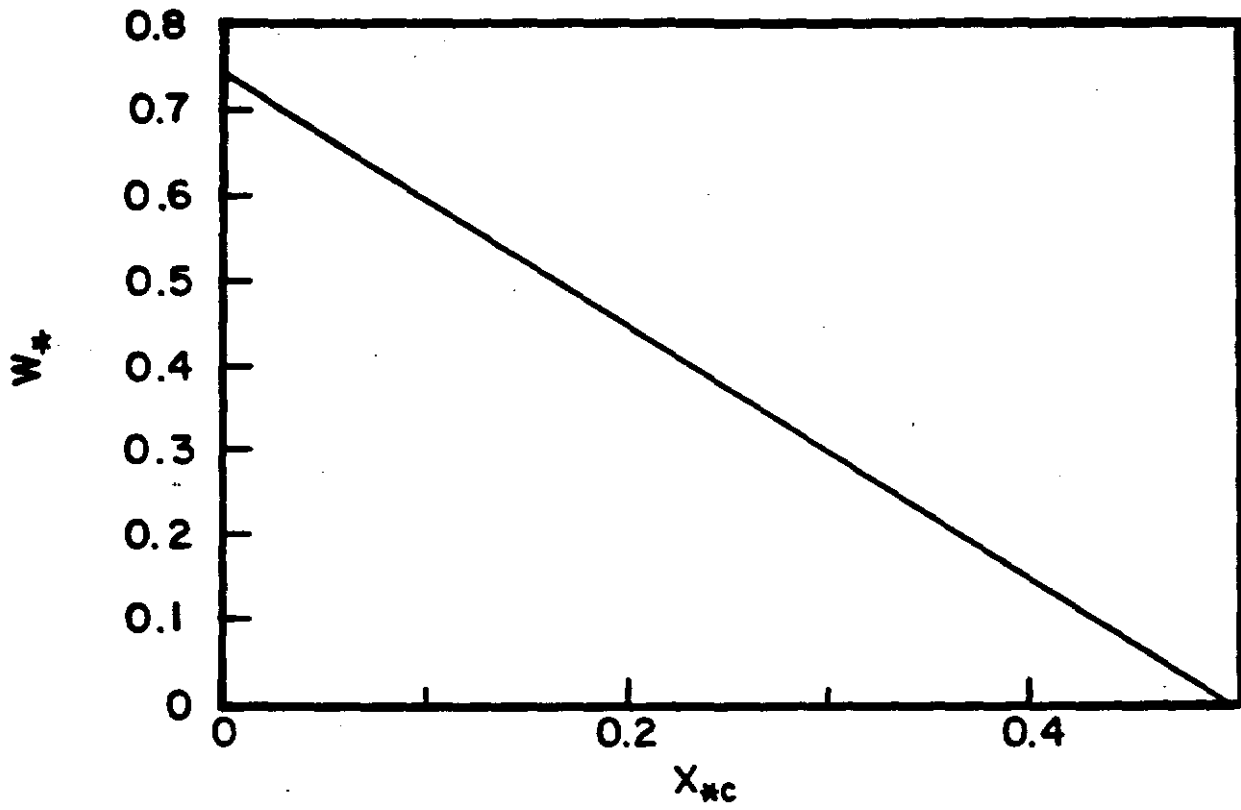


Figure 3.5 Normalized Width Function

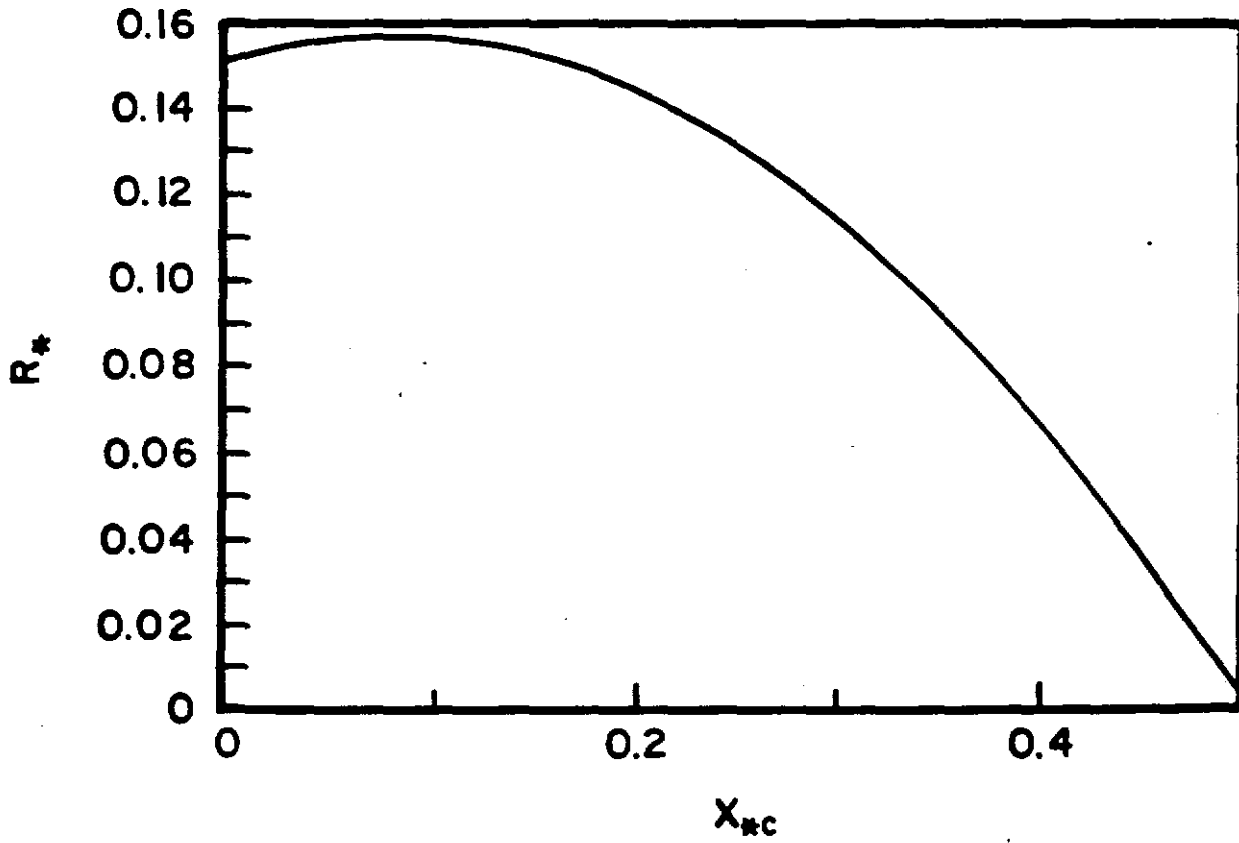


Figure 3.6 Normalized Hydraulic Radius Function

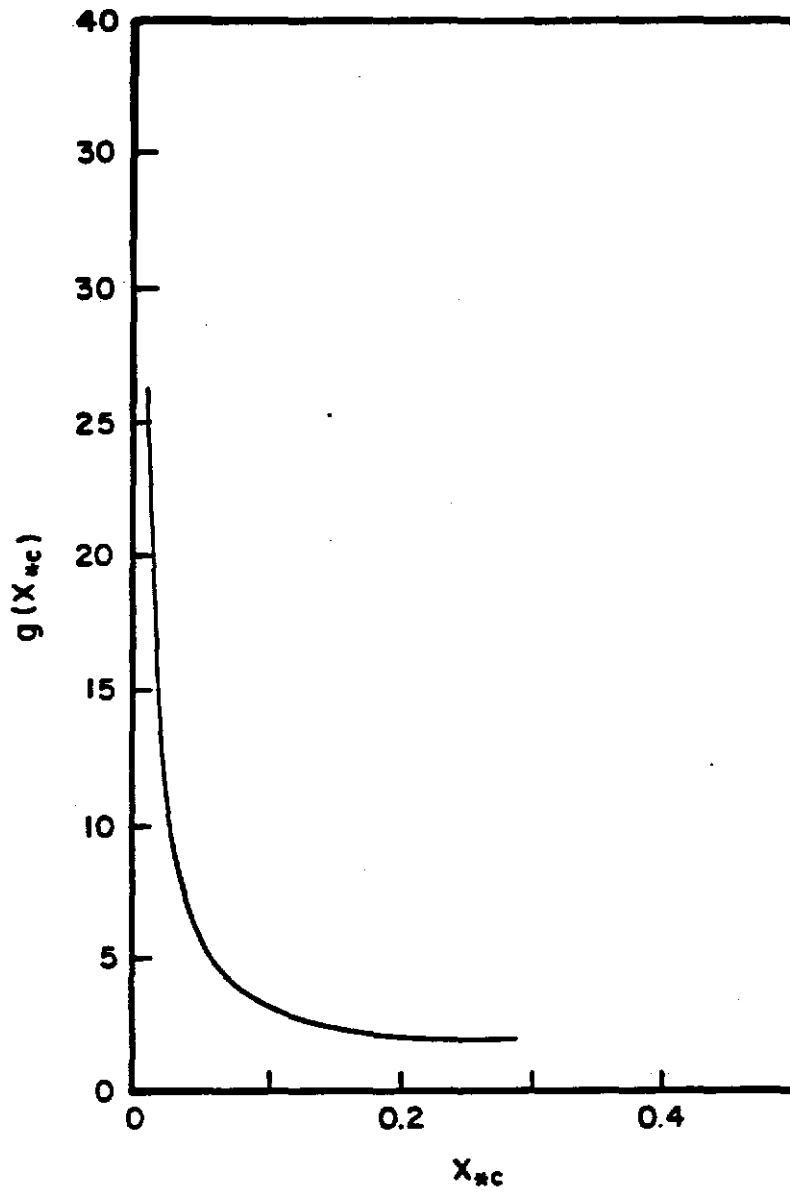


Figure 3.7 Rill Conveyance Function

### 3.4.2. Computation Methodology

The width of each subrill may now be calculated as a function of the flow and subrill parameters using the following steps:

- 1) Calculate the conveyance function  $g(x_{*c})$  using Eq. (3.20).
- 2) Given  $g(x_{*c})$ , obtain a value for  $x_{*c}$  from Figure 3.7.
- 3) Given a value for  $x_{*c}$ , obtain values for  $W_*$  and  $R_*$  from Figures 3.5 and 3.6.
- 4) Calculate the subrill width using Eq. (3.19).

### 3.4.3. Initial Conditions

In order to determine the width of each subrill, the peak discharge must be specified. The peak discharge in a particular subrill is not known until after each interrill runoff hydrograph has been routed through the rill network. However, in order to route the interrill runoff hydrographs through the rill network system the width of each subrill must be known. This problem is addressed in HYDROMIN by first approximating the peak discharge in each rill by using the rational equation. In this context the peak discharge in each rill is obtained as follows:

$$q_r = avg_r A_r \quad (3.21)$$

where  $avg_r$  = the maximum rainfall excess intensity and  $A_r$  = the total drainage area upstream of subrill  $r$ . These discharges are then used to obtain initial values of the widths for each subrill. These widths are then used in ROUTE to generate the hydrographs in each subrill. The peak values associated with each hydrograph can then be used to update the channel widths for subsequent applications of the program.

### 3.5. ROUTE SUBROUTINE

The ROUTE subroutine accepts the interrill flow element hydrographs generated by RUNOFF and then routes them through the associated rill network system. The hydrographs are routed through each subrill using a finite element formulation of the diffusion wave equations. The following discussion of the general hydraulic equations and associated solution methodologies is taken from Fread (1982).

#### 3.5.1. Saint Venant Equations:

The general equations governing unsteady flow in an open channel are known as the Saint Venant (1871) equations. These equations consist of a conservation of mass equation:

$$\frac{\partial A}{\partial t} + \frac{\partial Q}{\partial x} = \int_{\sigma} q \, d\sigma \quad (3.22)$$

and a conservation of momentum equation:

$$\begin{aligned} & \frac{1}{gA} \frac{\partial Q}{\partial t} + \frac{1}{gA} \frac{\partial}{\partial x} \left( \frac{\beta}{A} Q^2 \right) + \frac{\partial}{\partial x} (kY) + (k-k') \frac{Y}{A} \frac{\partial A}{\partial x} \\ & = S_o - S_f + \frac{1}{\gamma A} \frac{\partial T}{\partial x} + \frac{1}{gA} \int_{\sigma} q \, U_x \, d\sigma \end{aligned} \quad (3.23)$$

in which  $t$  = time,  $x$  = distance along the channel,  $Y$  = depth of flow measured vertically,  $A$  = channel cross sectional area,  $g$  = gravitational acceleration,  $Q$  = channel flow,  $q$  = lateral inflow,  $\beta$  = momentum flux correction factor,  $S_o$  = the channel slope,  $S_f$  = the friction slope,  $\gamma$  is the specific weight of the fluid,  $U_x$  = the  $x$ -component velocity of the lateral flow when joining the channel flow, and  $k$ , and  $k'$ , are pressure distribution correction factors. Normally, when dealing with gradually varied flows the pressure distribution correction factors and the momentum flux correction factor are assumed to be equal to one and the variation of  $T$  with respect to  $x$  is neglected (Yen, 1973).

When applying the Saint Venant equations to simulate unsteady flow in a channel, the friction slope,  $S_f$ , is usually estimated using Manning's equation:

$$S_f = \left( \frac{n^2 V^2}{C_n} \right) R^{-4/3} = \left( \frac{n^2 Q^2}{C_n A^2} \right) R^{-4/3} \quad (3.24)$$

in which  $n$  is Manning's roughness factor,  $R$  is the hydraulic radius, which is equal to  $A$  divided by the wetted perimeter, and  $C_n = 1$  for SI units and 2.22 for English units. The friction slope may also be estimated by using the Darcy Weisbach formula:

$$S_f = \frac{f}{8gR} V^2 = \frac{f}{8gR} \frac{Q^2}{A^2} \quad (3.25)$$

in which  $f$  is Weisbach's resistance coefficient; or by the Chezy formula:

$$S_f = \frac{V^2}{C^2 R} = \frac{Q^2}{C^2 R A^2} \quad (3.26)$$

in which  $C$  is Chezy coefficient. Rigorously speaking, the values of  $n$ ,  $f$ , and  $C$  for unsteady nonuniform flow have not been established. They are functions of flow unsteadiness, nonuniformity, the Reynold's and Froude numbers, and the channel boundary roughness conditions including bed forms for alluvial channels (Yen, 1973).

### 3.5.2. Kinematic Wave Equations:

Due to the complexities of the Saint Venant equations, various simplified approximations of flood wave propagation have been developed. The most common simplification is the kinematic wave approximation. The concept of the kinematic wave implies that inertia forces are negligible relative to gravitational and frictional forces, and that flow is a function of depth alone. This results in a numerical solution of the continuity equation and an analytical solution of the momentum equation. The kinematic model uses the following simplified form of the conservation of momentum equation:

$$S_o = S_f \quad (3.27)$$



Equation (3.27) essentially states that the momentum of the unsteady flow is assumed to be the same as that of steady uniform flow as described by the Chezy or Manning equation or some other similar expression in which discharge is a single-valued function of stage, i.e.,

$$Q = \alpha y^m \tag{3.28}$$

Combining Eq. (3.22) and Eq. (3.28) results in the following non-linear kinematic wave model (Li, et. al., 1975):

$$\frac{\partial A}{\partial t} + \alpha m y^{m-1} \frac{\partial y}{\partial x} = \int_{\sigma} q \, d\sigma \tag{3.29}$$

which can be solved using either finite element or finite difference methods.

Lighthill and Whitham (1955), in a theoretical study of kinematic flow, set forth the justification for its application and cleared the way for its acceptance as an approach to flood routing. In doing so, they established that, for flow to be classified as kinematic, the Froude number should be less than two. An additional criterion was developed by Woolhiser and Liggett (1967) who utilized a dimensionless kinematic flow number,  $K$ , defined as:

$$K = \frac{L S g}{V^2} \tag{3.30}$$

When  $K$  is greater than 10, the dynamic wave is small and the kinematic wave solution approximates the solution obtained by the complete equations. They were further able to determine that an error of approximately 10% results when  $K = 10$  and that an increase in the value of  $K$  indicates a rapid decrease in the magnitude of the error.

Eagleson (1970) suggested that both of the above conditions be upheld for use of the kinematic wave approximation in unsteady flow simulations; however, Al-Mashidani and Taylor (1974) have shown that the Froude number can be greater than two provided that the value of  $K$  is large.

### 3.5.3. Diffusion Wave Equations

As mentioned earlier, the full Saint Venant equations consist of the continuity equation given by Eq. (3.22) and the complete momentum equation depicted by Eq. (3.23). It has also been stated that for some situations, the inertial and pressure forces may be insignificant, so that, only the gravity force and the friction force terms need be retained. As shown previously, such an approach leads to a routing model known as the kinematic wave model given by Eqs. (3.22) and (3.28). However, there may be situations when, while the kinematic wave model may be grossly inadequate, the complete Saint Venant equations will be overly rigorous. In such cases, the inertial forces terms may be ignored while keeping the pressure force term in addition to the gravity force and the friction force terms. The resulting routing model is termed the diffusion wave model. The diffusion wave approximation uses the continuity equation defined by Eq. (3.22) and the following simplification of the momentum equation:

$$\frac{\partial}{\partial x}(kY) = S_o - S_f + \frac{1}{gA} \int q U_x d\sigma \quad (3.31)$$

All the terms in Eq. (3.31) have been defined previously.

When applying the diffusion equations, the following general guidelines must be given due consideration. If the slope of the channel is steep and the flow is supercritical or near critical, the kinematic wave equations may be a reasonable approximation. However, for milder slopes, it may be more realistic to employ the diffusion wave equations in order to include the backwater effect or the propagation of waves upstream. For flat slopes and subcritical flow however, even the diffusion wave approach may not be adequate to simulate the significant backwater effects that may be present. In such cases, it may be essential to utilize the full Saint Venant equations.

Ponce et al. (1978) proposed the following criteria for the application of the kinematic-, diffusion-, or dynamic-wave (full St. Venant equations) model:

$$T_B S_o \left( \frac{v_o}{y_o} \right) \geq 171 \quad \text{Kinematic} \quad (3.32)$$

$$T_B S_o \left( \frac{g}{y_o} \right)^{\frac{1}{2}} \geq 30 \quad \text{Diffusion} \quad (3.33)$$

$$T_B S_o \left( \frac{g}{y_o} \right)^{\frac{1}{2}} < 30 \quad \text{Dynamic} \quad (3.34)$$

where  $T_B$  is the flood wave period,  $S_o$  is the channel bottom slope,  $v_o$  and  $y_o$  are the initial velocity and depth, and  $g$  is gravity acceleration. Thus, for shallow flow on steep slopes as well as for long duration flood waves, the kinematic wave approximation may be valid. Similarly, the diffusion wave scheme is useful for a greater variety of situations. The Saint-Venant equations, on the other hand, can be used for any condition.

#### 3.5.4. Solution Techniques

Numerical methods for solving the dynamic wave equations gained popularity because the Saint Venant equations are partial differential equations which cannot be solved analytically except for a few simple situations. With the advent of high-speed digital computers, Stoker (1953) and Isaacson et al., (1954) first attempted to use the complete Saint Venant equations for flood routing on the Ohio river. Since then, much effort has been expended on the development of dynamic wave models, and the literature contains many dynamic models. These models can be categorized according to finite difference or finite element methods.

##### 3.5.4.1. Finite Difference Methods

Finite difference methods may be classified as direct and characteristic methods. In direct methods, finite difference approximations are directly substituted into the governing partial differential equations given by Eqs. (3.22) and (3.23), and then incremental solutions are obtained for incremental times  $\Delta t$  and incremental distances  $\Delta x$  along the waterway. In the method of characteristics, the partial differential equations (3.22) and (3.23) are first converted into an equivalent set of four ordinary

differential equations which are then approximated with finite differences to obtain solutions (Fread, 1985). Finite difference models can be classified further as either explicit or implicit, depending on the type of finite difference scheme that is used. Explicit schemes transform the differential equations into a set of easily manipulated algebraic equations which can be solved directly for each point on a time line. In contrast, implicit schemes convert the differential equations into a set of algebraic equations which must be solved simultaneously providing solutions for all points on a time line concurrently. The set of simultaneous equations may be either linear or nonlinear, the latter requiring an iterative solution procedure.

The important point to be noted in regard to the explicit and the implicit schemes is that the former, while being simpler to implement on a computer, can become numerically unstable if small time and space increments are not used. The latter (i.e., the implicit scheme), although substantially more complicated in terms of mathematical formulation, has been found to retain numerical stability for large time steps with little loss of accuracy. Hence, in general, implicit methods are considered to be more efficient and expeditious than the explicit method.

#### 3.5.4.2. Finite Element Methods:

One of the more recent methods of solving the flow routing models is the finite element method. The method involves converting the integral form of the governing partial differential equations into a system of simultaneous algebraic equations by using a piecewise application of either the variational or the weighted residual principle on a finite number of elements which constitute the problem domain. The resulting system of equations are then solved to find the magnitude of the unknown variables.

The finite element formulation of any problem involves five basic components. These include the the governing differential equation, the elements, the nodes, the field variable, and the interpolating function. In applying the finite element method to a particular problem, the domain of the problem is divided into a finite number of subdomains called

elements, which collectively approximate the shape of the physical continuum. In applying the finite element method to the channel routing problem, the channel is treated as a one-dimensional continuum. Nodes are located on element boundaries and sometimes within elements. For the channel flow problem the channel area is specified as the field variable. Values of the field variable are determined at each node for each time step. An interpolating function (usually a polynomial), defined in terms of the nodal values of the field variable, is used to approximate the flow area over each channel element. A different function is defined for each element; but the element functions are selected based on the continuity requirements of the governing equations, so that continuity is maintained between elements (Bickford, 1990).

The goal of any finite element formulation is to establish a system of algebraic equations which can be solved to obtain the nodal field variable values. The five basic steps for establishing the channel flow algebraic equations are: (1) construction of the integral relationships corresponding to the governing equation, (2) approximation of the field variable behavior, (3) establishment of the element equations, (4) time integration, and (5) assembly of the element equations into the set of global or system equations.

The finite element equations can be derived by employing either the calculus of variations or a weighted residual method to insure that the error introduced in the approximations is a minimum over the entire domain. The Galerkin weighted residual method has been successfully applied to solve a wide variety of transport problems. The basic premise of the method is that when an approximating function for the unknown values of  $A$  and  $Q$  is substituted into the governing equations, the integrated weighted residual over the domain is compelled to go to zero. The integration is performed over each element and summed to give the contributions for the whole domain for each time step (Bickford, 1990).

The finite element method has been successfully applied to problems in solid mechanics and fluid mechanics. Cooley and Moin (1976) were perhaps the first to propose a solution methodology to solve the full Saint-Venant equations using the finite element method. They found that the results obtained with the finite element method compared favorably with those obtained by others using the characteristic and the direct finite difference methods. Keuning (1976) also applied the finite element technique for solving the Saint-Venant equations. More recently, Ross et al. (1979) developed an explicit, finite element scheme for overland flow while Blandford et al. (1983) developed an implicit finite element kinematic wave model for overland flow. Burke and Gray (1983) have presented a finite element model for solving both channel and overland flow.

### 3.5.5. Finite Element Formulation

The finite element spatial discretization of the continuity equation is obtained using the Galerkin weighted residual method:

$$\int_{\Omega^e} \{N\} \left( \frac{\partial A}{\partial t} + \frac{\partial Q(A)}{\partial x} - q(t) \right) d\Omega^e = 0 \quad (3.35)$$

in which  $\{N\} = [N_1, \dots, N_n]^T$  the column vector of shape functions;  $\Omega^e$  is the element domain;  $[ ]$  symbolizes row vector;  $\{ \}$  denotes column vector; superscript T signifies matrix transpose; and the other symbols are as previously defined. Substituting the associated approximations into Eq. (3.35) and integrating over the length of each element yields:

$$\int_0^{l_e} \{N\} [N] dx \{A\} + \int_0^{l_e} \{N\} \frac{d[N]}{dx} dx \{Q(A)\} = \int_0^{l_e} \{N\} q(t) \quad (3.36)$$

where

$$A = \frac{dA}{dt} = [N] \{A\}$$

$$Q(A) = [N] \{Q(A)\}$$

$$q = [N] \{q\}$$

Assuming a uniform lateral inflow, Eq. (3.36) may be expressed in matrix form as:

$$l^e [s] \{A\} + [f] \{Q(A)\} = l^e [s] q(t) \quad (3.37)$$

where:

$$[s] = \int_0^{l_e} \{N\} [N] dx$$

$$[f] = \int_0^{l_e} \{N\} \frac{d[N]}{dx} dx$$

Both element matrix evaluations can be performed analytically since they do not contain any element dependent values. Consequently, both  $[s]$  and  $[f]$  have been analytically integrated and included in HYDROMIN as constant matrices.

In addition to requiring a spatial approximation, Eq. (3.22) also requires a temporal discretization. In HYDROMIN the discretization of the time varying response is generated using a single step scheme. The scheme is based on knowing the flow area at time  $t$  and generating the flow area at time  $t + \Delta t$  using a linear time interpolation in which  $\Delta t$  is the time increment. Evaluating the flow area at time  $t + \Delta t$  is based on satisfying the flow equilibrium equations at time  $t + \theta \Delta t$ , in which  $0 < \theta < 1$  is chosen to obtain stability and accuracy in the solution. Therefore, evaluating Eq. (3.37) at time  $t + \theta \Delta t$  gives:

$$l^e [s] \{A\}_{t+\theta \Delta t} + [f] \{Q(A)\}_{t+\theta \Delta t} = l^e [s] q_{t+\theta \Delta t} \quad (3.38)$$

in which subscript  $t + \theta\Delta t$  signifies the time level at which the vector expression is evaluated. Assuming a linear variation over  $\Delta t$  Eq. (3.38) can be written as:

$$l^e [s] \{A\}_{t+\theta\Delta t} = \theta\Delta t l^e \{s\} q_{t+\theta\Delta t} + l^e [s] \{A\}_t - \theta\Delta t [f] \{Q(A)\}_{t+\theta\Delta t} \quad (3.39)$$

Eq. (3.39) is defined as the element level recurrence equation. Due to the occurrence of  $\{Q(A)\}_{t+\theta\Delta t}$  on the right hand side of Eq. (3.39), a nonzero value of  $\theta$  results in a nonlinear system of equations. Hughes (1977) has shown that for  $1/2 < \theta < 1$ , the time integration scheme is unconditionally stable for nonlinear problems.

Assembly of the element equations given by Eq. (3.39) is based on continuity of the nodal flow depth and flowrate. The assembled form of Eq. (3.39) is:

$$[S] \{A\}_{t+\theta\Delta t} = \{C\} - \theta\Delta t [F] \{Q(A)\}_{t+\theta\Delta t} \quad (3.40)$$

where:

$$[S] = \sum_e [s]$$

$$[F] = \sum_e [f]$$

$$\{C\} = \theta \sum_e \Delta t l^e [s] \{q\}_{t+\theta\Delta t} + [S] \{A\}_t$$

in which  $\sum_e$  represents summation over the elements; and  $\{C\}$  is a constant for a particular time step.

### 3.5.8. Kinematic Solution Methodology

For  $\theta > 0$ , Eq. (3.40) is nonlinear since the right hand depends on the flow area  $A$ . Consequently, a nonlinear solution methodology is required. The kinematic wave solution may be obtained by solving Eq. (3.40) using a successive substitution approach. Using



this approach, Eq. (3.40) may be written in recursive form as:

$$\left[ S \right] \{ A \}_{t+\theta\Delta t}^{i+1} = \{ C \} - \theta\Delta t \left[ F \right] \{ Q(A_{t+\theta\Delta t}^i) \} \quad (3.41)$$

in which the superscripts  $i$  and  $i+1$  represent successive estimates of  $\{ A \}_{t+\theta\Delta t}$ .

Eq. (3.41) is solved successively until the following convergence criterion is satisfied:

$$\left\| \left[ A_{t+\theta\Delta t}^{i+1} - A_{t+\theta\Delta t}^i \right] \right\|_2^2 / \left\| \left[ A_t \right] \right\|_2^2 < \epsilon \quad (3.42)$$

in which  $\left\| \cdot \right\|_2^2$  is the square of the Euclidian two-norm; and  $\epsilon$  is the convergence tolerance. Once Eq. (3.42) is satisfied, the value of  $A_{t+\Delta t}$  can be obtained using the following equation.

$$A_{t+\Delta t} = \frac{1}{\theta} \left[ A_{t+\theta\Delta t} - (1 - \theta)A_t \right] \quad (3.43)$$

To initiate the solution of Eq. (3.41), an initial estimate of the nodal flow area must be obtained for time  $t+\theta\Delta t$ . In HYDROMIN this estimate is obtained using an explicit finite difference approximation of Eq. (3.22). For node  $j$ , this approximation may be expressed as (Blandford and Meadows, 1990):

$$A_{t+\theta\Delta t}^j = A_t^j + \theta\Delta t \left[ q_t - \frac{(Q_t^j - Q_t^{j-1})}{l_e} \right] \quad (3.44)$$

### 3.5.7. Diffusion Wave Solution Methodology

In order to apply the previous solution methodology to the diffusion wave form of Eq. (3.29), Eq. (3.41) must be modified to reflect the dependency of  $Q$  on both  $A$  and  $S$  (the friction slope). This may be expressed as:

$$\left[ S \right] \{ A \}_{t+\theta\Delta t}^{i+1} = \{ C \} - \theta\Delta t \left[ F \right] \{ Q(A_{t+\theta\Delta t}^i, S_{t+\theta\Delta t}^i) \} \quad (3.45)$$

This equation may be solved in the same manner as Eq. (3.41) with the friction slope also expressed as a function of the nodal flow areas.

During each iteration of Eq. (3.45) the friction slope over each finite element is updated as a function of the new values of the nodal flow areas. The friction slope associated with each node is obtained using a backward finite difference scheme. For the case with a rectangular rill with a uniform width the friction slope associated with node  $j$  at time  $t+\theta\Delta t$  may be obtained as follows:

$$S_{t+\theta\Delta t}^i = S_o - \frac{A_{t+\theta\Delta t}^j - A_{t+\theta\Delta t}^{j-1}}{w_r l^e} \quad (3.46)$$

where  $S_o$  = the subrill bottom slope,  $w_r$  = the subrill width, and  $A_{t+\theta\Delta t}^j$  and  $A_{t+\theta\Delta t}^{j-1}$  are nodal flow areas associated with iteration  $i$ .

### 3.5.8. Rill Network Solution Methodology

The solution of the diffusion wave equations for a network of subrills results in an additional depth continuity constraint for each junction node in the network. These constraints are satisfied for each time step using a disaggregated dual level iteration scheme. The lower level of the iteration procedure involves the iterative solution of the nodal flow areas. At this level, each individual subrill is evaluated one at a time until the associated set of nodal flow areas have been determined.

The upper level of the iteration strategy involves the enforcement of the flow depth continuity at each junction node. This is accomplished by setting the downstream depth boundary condition for all subrills before they are passed back down to the lower iteration level.

During each upper level iteration, the subrills that drain into each junction node are identified. The downstream flow depths associated with these subrills are updated by equating them to the upstream flow depth associated with the subrill that drains the associated junction. Mathematically, this relationship may be expressed as:

$$h_{t+\theta\Delta t}^{in} = h_{t+\theta\Delta t}^{j1} \quad \text{for all } i \in \{j\} \quad \text{for all } j \quad (3.47)$$

where  $h_{t+\theta\Delta t}^{in}$  = the depth at time  $t+\theta\Delta t$  associated with the last (downstream) node in each upstream subrill  $i$  (where  $n$  = the number of finite element nodes in each subrill) and  $h_{t+\theta\Delta t}^{j1}$  = the depth at time  $t+\theta\Delta t$  associated with the first (upstream) node in the downstream subrill  $j$ , where  $j$  also represents the index of the junction drained by the subrill and  $\{j\}$  = the set of subrills that drain into junction  $j$ . For a network with rectangular cross sections, this relationship may be expressed as:

$$A_{t+\theta\Delta t}^{in} = \frac{A_{t+\theta\Delta t}^{j1}}{w_j} w_i \quad \text{for all } i \in \{j\} \quad \text{for all } j \quad (3.48)$$

where  $A$  = the nodal flow area, and  $w$  = the subrill bottom width.

For a particular time step, the upper level iteration procedure converges when the following condition is satisfied for each junction node in the network:

$$\frac{\frac{1}{N_j} \sum_{i=1}^{N_j} h_{t+\theta\Delta t}^{in} - h_{t+\theta\Delta t}^{j1}}{h_{t+\theta\Delta t}^{j1}} < \epsilon \quad (3.49)$$

where  $N_j$  = the number of subrills that drain into junction  $j$  and  $\epsilon$  = a user specified convergence level. Again, for a network with a rectangular channel this condition may be expressed as:

$$\frac{\frac{1}{N_j} \sum_{i=1}^{N_j} A_{t+\theta\Delta t}^{in}/w_i - A_{t+\theta\Delta t}^{j1}/w_j}{A_{t+\theta\Delta t}^{j1}/w_j} < \epsilon \quad (3.50)$$

### 3.5.9. Boundary Conditions

Before the previously discussed dual level iteration procedure can be initiated, the initial values of all nodal areas at time  $t = 0$  must be specified. In the proposed algorithm, these values are obtained by performing a steady state profile analysis for the entire network system. The profile analysis uses the same solution methodology as employed by the HEC2 computer program. This methodology is based on solving the following two equations at each finite element node using an iterative procedure:

$$WS_2 + \frac{V_2^2}{2g} = WS_1 + \frac{V_1^2}{2g} + h_e \quad (3.51)$$

$$h_e = L\bar{S} + \frac{V_2^2}{2g} - \frac{V_1^2}{2g} \quad (3.52)$$

where:

$WS_1, WS_2$  = water surface elevations at ends of reach

$V_1, V_2$  = mean velocities (total discharge / total flow area) at ends of reach

$g$  = acceleration of gravity

$h_e$  = energy head loss

$L$  = reach length

$\bar{S}$  = the average representative friction slope for the reach

In addition to the initial boundary conditions at time  $t = 0$ , upstream, downstream, and lateral inflow boundary conditions must be specified for the entire network for all time steps. The downstream boundary condition for the network (i.e., the downstream flow area for the last node of the lowest subrill) is set based on an assumption of normal flow depth at the network outlet. The upstream boundary condition for each of the first order subrills is established from the associated source area hydrographs. The lateral inflow boundary condition for each element of each subrill is set using the associated interrill element hydrographs.

### 3.5.10 Algorithm Summary

The specific algorithms for both the upper level and lower level iteration schemes are outlined in the following sections.

#### 3.5.10.1 Upper Level Algorithm

The upper level of the proposed dual level disaggregated iteration strategy may be summarized as follows:

- (0) Perform a steady state profile analysis in order to determine  $\{A\}_t$  and  $\{Q\}_t$  for  $t = 0$  for each finite element node associated with each subrill in the network.
- (1) Set the upstream, downstream, and lateral inflow boundary conditions for the next time step.
- (2) Perform the lower level iteration loop in order to determine the set of nodal parameter values (i.e.,  $A_{t+\theta\Delta t}$ ,  $S_{t+\theta\Delta t}$ , and  $Q_{t+\theta\Delta t}$ ) for each subrill for time  $t+\theta\Delta t$ .
- (3) Evaluate the depth continuity requirement for each junction node in the network using Eq. (3.49).
- (4) If Eq. (3.49) is satisfied for all junction nodes, continue, otherwise update the downstream boundary conditions for all subrills (exclusive of the last subrill which is set in step (1)) using Eq. (3.47) and return to (2).
- (5) Determine the set of nodal parameter values (i.e.,  $A_{t+\Delta t}$ ,  $S_{t+\Delta t}$ , and  $Q_{t+\Delta t}$ ) for each subrill for time  $t+\Delta t$  using Eqs. (3.43) and (3.28).
- (6) Stop once all time steps have been evaluated, otherwise update the nodal parameter values and return to (1).

### 3.5.10.2 Lower Level Algorithm

The lower level of the proposed dual level disaggregated iteration strategy may be summarized as follows:

- (1) Estimate the initial values of  $A_{i+\theta\Delta t}$  using Eq. (3.44).
- (2) Determine the value of  $S_{i+\theta\Delta t}$  using Eq. (3.46).
- (3) Determine the value of  $Q_{i+\theta\Delta t}$  using Eq. (3.28).
- (3) Solve for  $A_{i+\theta\Delta t}$  using Eq. (3.45).
- (4) Check for convergence using Eq. (3.42).
- (5) If convergence is achieved then stop, otherwise update the flow area iteration value (ie.,  $A_{i+\theta\Delta t}^i = A_{i+\theta\Delta t}^{i+1}$ ) and go to (2).

## IV. MODEL VALIDATION

This chapter contains the results of a series of validation studies for the hydrologic model HYMODRIN. In order to test the applicability of HYMODRIN in modeling the hydrologic response of dynamic rill networks, the model was evaluated using three separate model validation studies. Each study is discussed in detail in the following sections.

### 4.1. HYDROLOGIC VALIDATION

The first validation study involved the evaluation of the hydrologic components of the model. These included both the Green Ampt infiltration routine and the nonlinear reservoir overland flow routine. In order to test the hydrologic components of HYMODRIN, the model was applied to two small watersheds. Each watershed was simulated for two different rainfall events. Data for the two watersheds, identified as Hastings 4H and 5H were obtained from a previous hydrologic study by Blandford et al. (1983).

The two watersheds are shown in Figures 4.1 and 4.2. Both watersheds are relatively flat at the upstream end, but converge somewhat toward a definite flow path. Each watershed was modeled as a single plane with constant slope and constant width. The calculated values are shown on the associated figure.

For the rainfall events selected, both watersheds were classified as pasture land and both consisted of the same three soil types: Hastings silt loam, Hastings silty clay loam, and Colby silt loam. Each soil occurred in layers, but infiltration did not proceed beyond the first layer (5 inches) in any of the storm events analyzed. Therefore, properties are given only for the first layer of each soil type.

The Green Ampt parameters for each soil were obtained from Meadows et al. (1983). They determined the wetting front suction,  $\psi_f$ , after Brakensiek (1977), with the Brooks and Corey (1966) parameters determined from desorption data reported by

the ARS. The ARS data included the moisture content, at various soil depths, corresponding to capillary pressures of 0.1, 0.3, 0.6, 3.0 and 15.0 bars. The porosity  $\phi$ , of each soil was determined from ARS bulk density data. Table 4.1 list values of  $\phi$  and  $\psi_f$  for each soil type. Table 4.1 also shows the composition of both watersheds according to percent of each soil type.

The nonlinear reservoir Green and Ampt analyses were performed for four different rainfall events; two on each watershed. The rainfall data for each of the events is summarized in Table 4.2. Table 4.3 presents the calculated hydraulic conductivities,  $K_s$ , for each storm.

For each rainfall event, the model was calibrated by adjusting the Manning's roughness coefficient  $n$  along with the initial moisture content. In each case the model parameters were adjusted so as to match the observed and predicted peak discharges while at the same time maintaining continuity of volume between the observed and predicted hydrographs. The calibrated parameter values are also shown in Table 4.3.

The results of the validation analysis are shown in Figures 4.3 - 4.6. Although the volumes of the computed and observed hydrographs were found to match very closely, two of the computed peak discharges were less than the observed corresponding values. The timing correlations between the observed and predicted hydrographs were also variable. It is possible that a significant part of this variability may be attributed to the spatial or temporal variability of the rainfall data. For both watersheds, the associated rain gage was located outside the watershed boundaries.



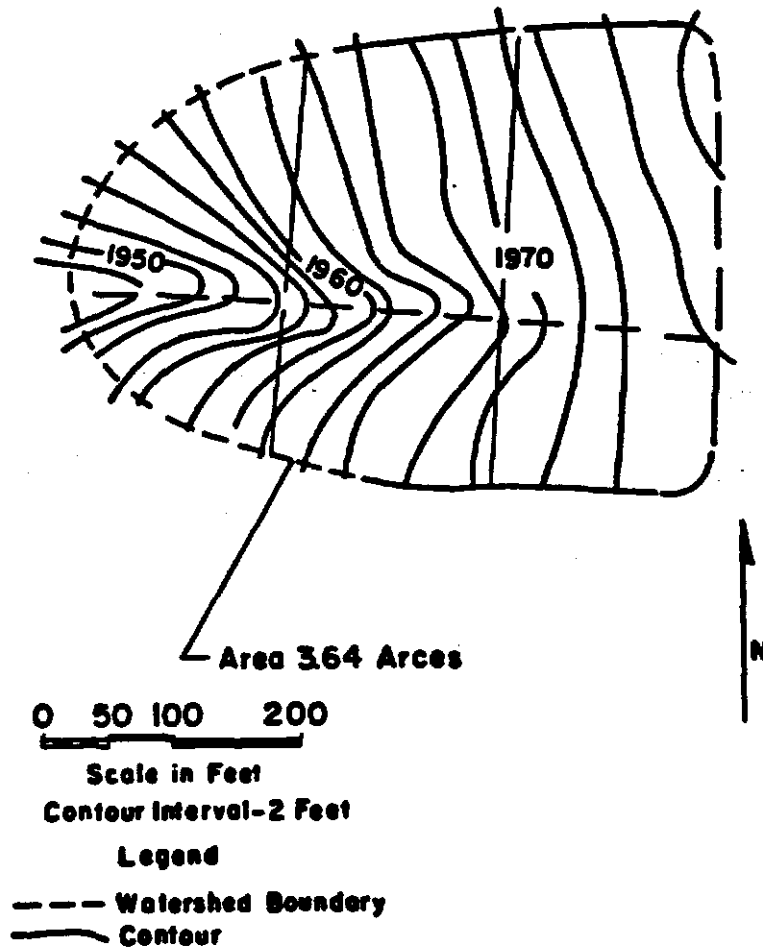


Figure 4.1 Hastings 4H Watershed

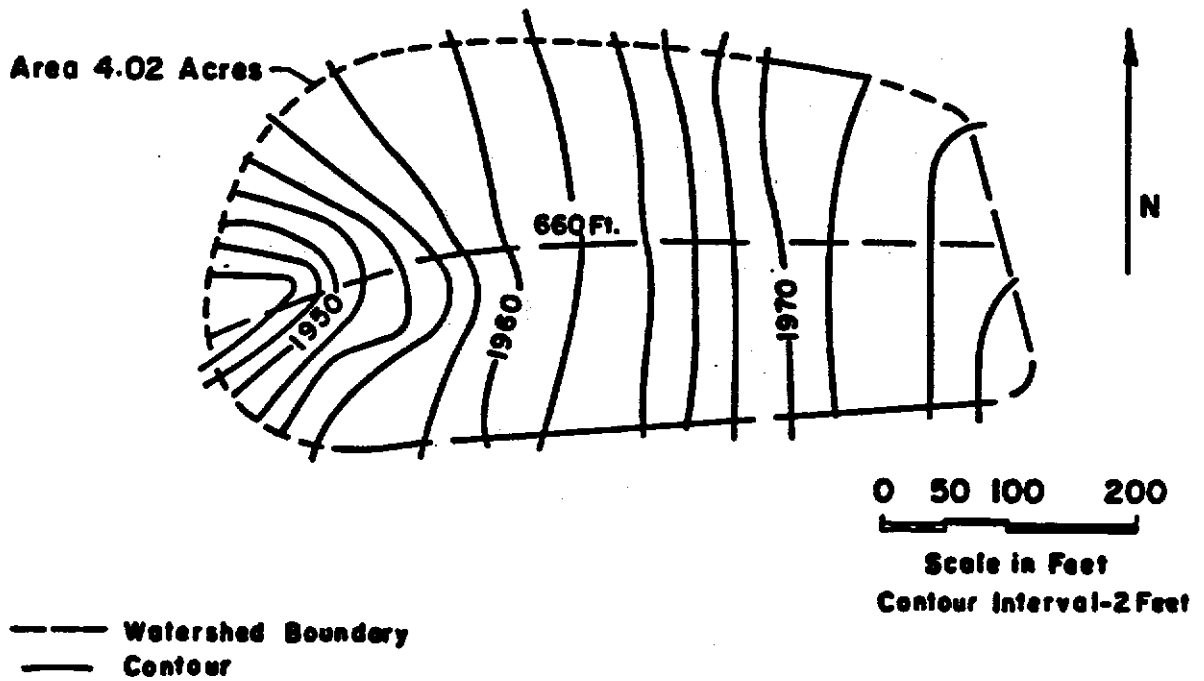


Figure 4.2 Hasings 5H Watershed

Table 4.1 Soil Characteristics of Example Watersheds

Soil Type:	Hastings Silt Loam	Hastings Silty Clay Loam	Colby Silt Loam
$\phi$	.5509	.630	.550
$\psi_f$ (ft)	.812	.787	1.780
% of 4H	65	26	9
% of 5H	87	7	6

Table 4.2 Summary of Rainfall Data for Hastings Events

Watershed 5H August 11, 1961		Watershed 5H July 26, 1964	
Time (hr. min)	Accumulated Rain (in)	Time (hr. min)	Accumulated Rain (in)
0.26	0.00	16.44	0.00
0.38	0.74	16.51	0.78
0.42	0.76	16.55	1.07
0.52	1.50	16.58	1.28
1.00	1.61		
1.30	1.70		
1.50	1.71		

Watershed 4H May 4, 1952		Watershed 4H June 21, 1964	
Time (hr. min)	Accumulated Rain (in)	Time (hr. min)	Accumulated Rain (in)
14.18	0.00	5.03	0.00
14.20	0.03	5.06	0.31
14.22	0.10	5.10	0.60
14.24	0.22	5.14	0.90
14.26	0.40	5.19	1.00
14.28	0.52	5.36	1.07
14.30	0.60		
14.32	0.64		
15.07	0.75		
15.27	0.76		

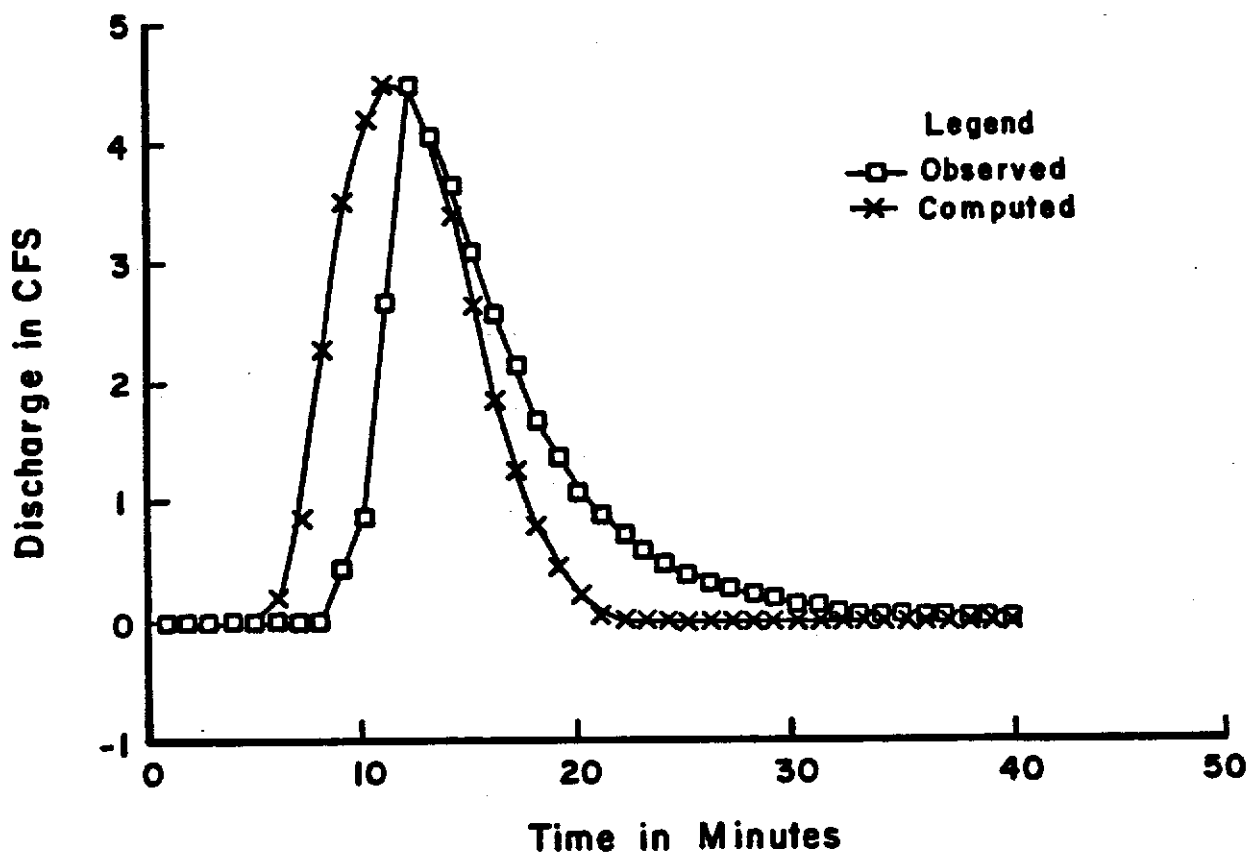


Figure 4.3 Hastings 4H Hydrographs for (5/4/59)

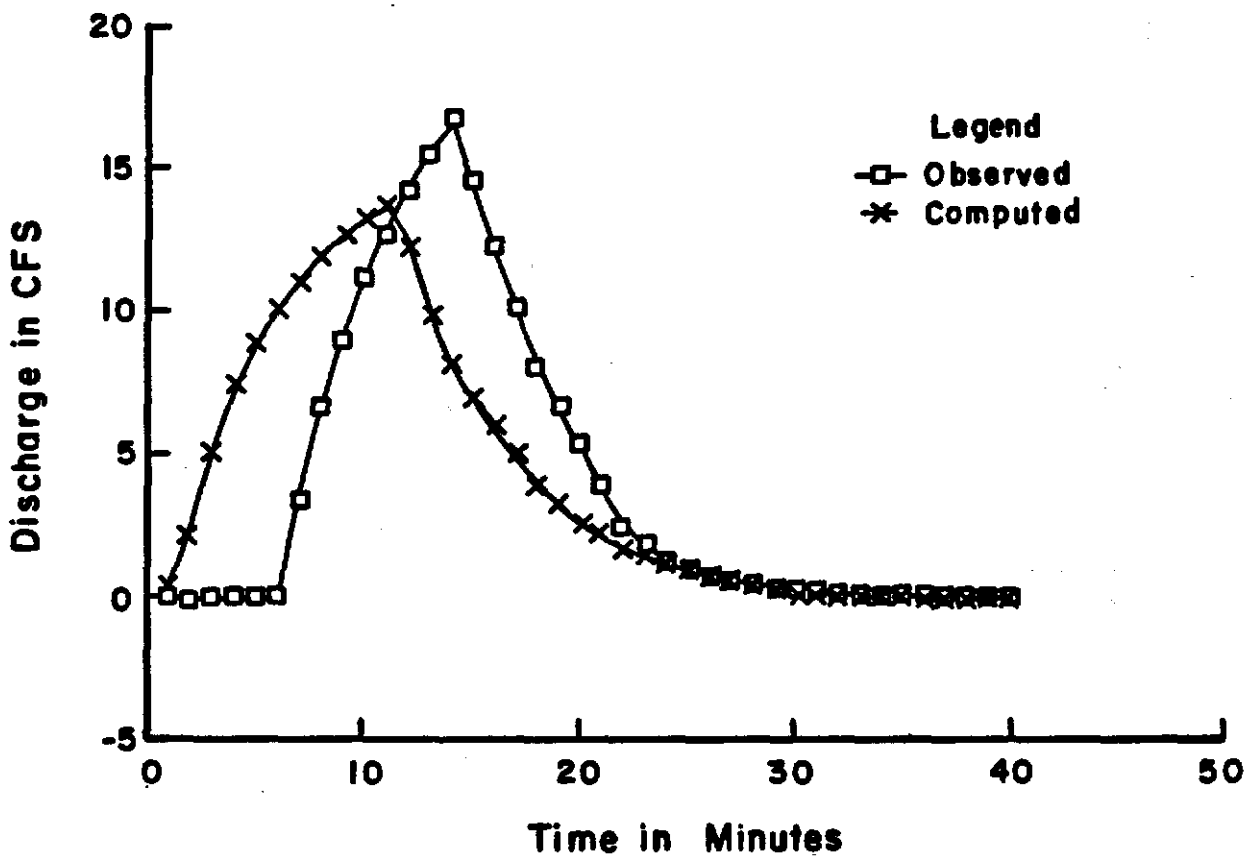


Figure 4.4 Hastings 4H Hydrographs for (6/21/64)

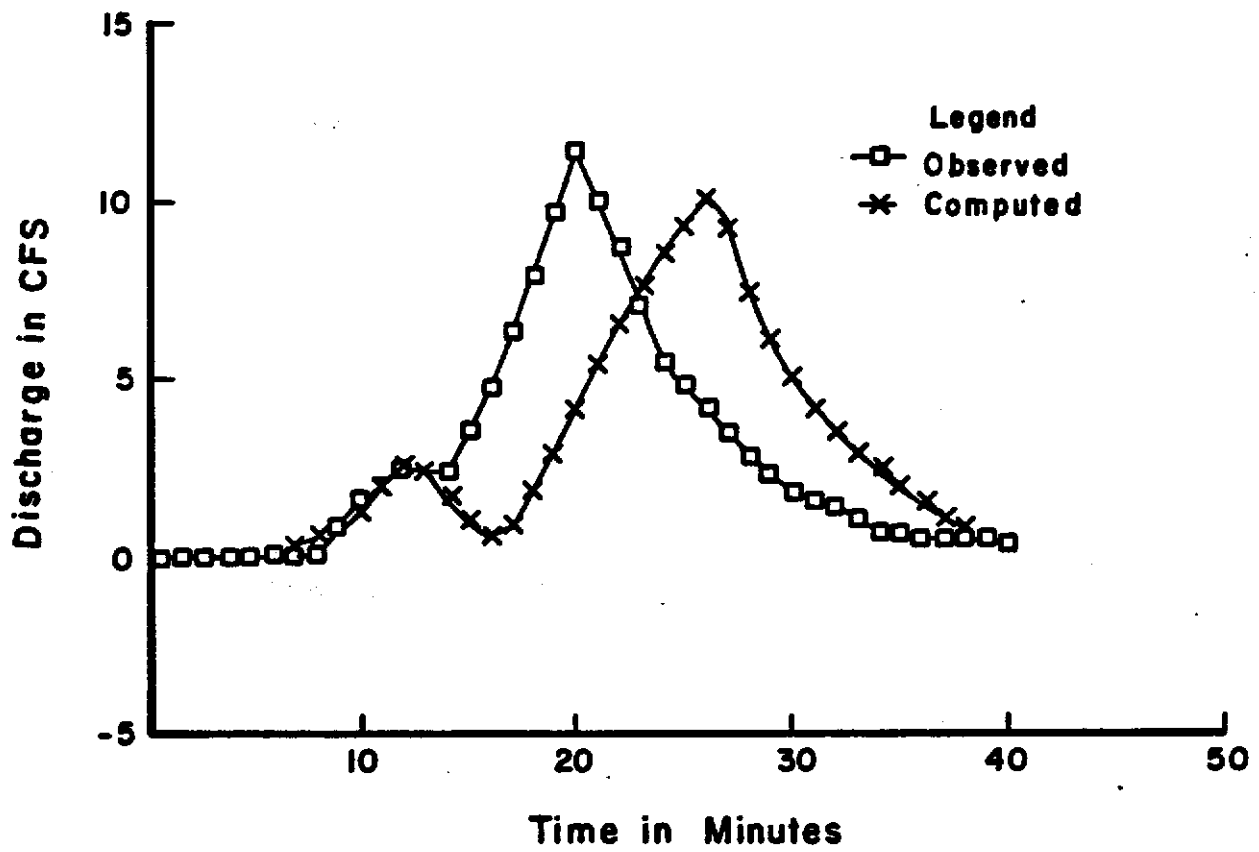


Figure 4.5 Hastings 5H Hydrographs for (8/11/61)

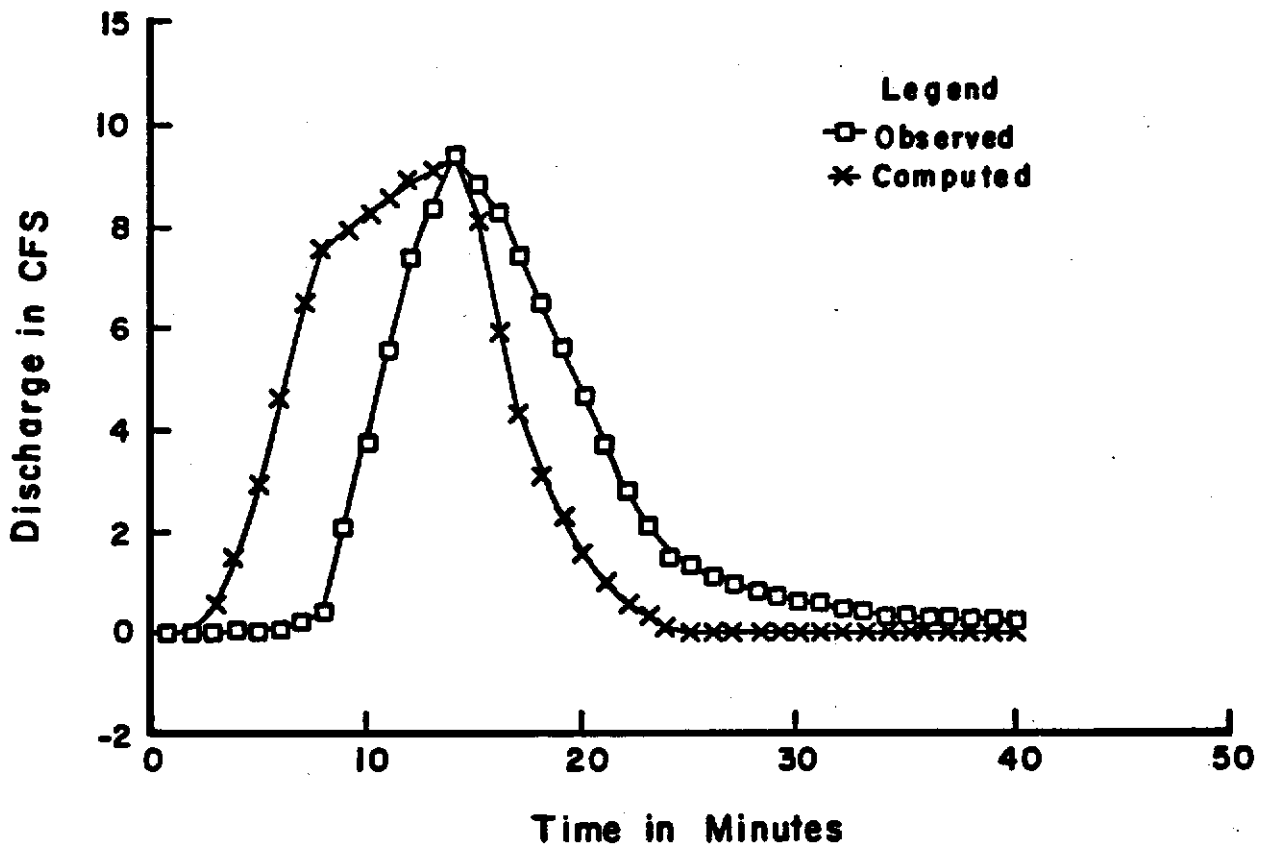


Figure 4.6 Hastings 5H Hydrographs for (7/26/64)

## 4.2 HYDRAULIC VALIDATION

The second validation study involved the evaluation of the finite element diffusion wave routing algorithm. In order to test the routing algorithm it was applied to a hypothetical network consisting of two junctions and six branches (see Figure 4.7). This network was previously evaluated using a dynamic wave finite difference model by Akan and Yen (1981). All branches are assumed to be rectangular in cross sections. The dimensions of the channels are listed in Table 4.4.

The hypothetical hydrographs that are routed through the channel network in the two examples are shown in Figures 4.8 and 4.9. The initial condition for both examples was a steady flow condition corresponding to a discharge of  $3 \text{ m}^3/\text{s}$  (106 cfs) in channels 1 and 4,  $2 \text{ m}^3/\text{s}$  (71 cfs) in channels 2 and 3,  $7 \text{ m}^3/\text{s}$  (247 cfs) in channel 5, and  $10 \text{ m}^3/\text{s}$  (353 cfs) in channel 6. The downstream boundary condition at the exit of channel 6 was specified using the uniform flow equation assuming the channel is hydraulically long. A time increment of  $\Delta t = 60 \text{ sec}$  was used in both examples. Each channel was modeled using three linear finite elements.

The computed discharge hydrographs for both examples are shown in Figures 4.10 and 4.11. As can be observed from these figures, the results of the proposed diffusion-wave model are in good agreement with those of the dynamic model. The outflow hydrographs computed for channels 2 and 3 in Example I and shown in Figure 4.10b clearly demonstrate the effects of downstream flow conditions. In Example I, a constant upstream inflow of  $2 \text{ m}^3/\text{s}$  (71 cfs) equal to the baseflow rate is used for channels 2 and 3 as shown in Figure 4.8. As a result, a steady flow condition will prevail in both channels 2 and 3 if the downstream flow conditions do not exist. However, in this case, the flood wave traveling through channel 1 raises the water surface at the junction where branches 1, 2 and 3 join. This decreases the hydraulic gradient in channels 2 and 3 causing discharges lower than the constant upstream inflow rate. As a result, from continuity requirements, the channel storage is increased



during the period of low discharge. As the downstream backwater recedes with time, the excess water is released from the channel storage, and discharges higher than the constant inflow occurs until the steady state condition is again reached asymptotically.

Table 4.3 Hastings Model Parameters

Watershed	Event	$K_B$	$\theta_1$	$n$
4H	May 4, 1959	.36	.50	.029
4H	June 21, 1964	.15	.55	.025
5H	August 11, 1961	.58	.15	.025
5H	July 26, 1964	.58	.46	.030

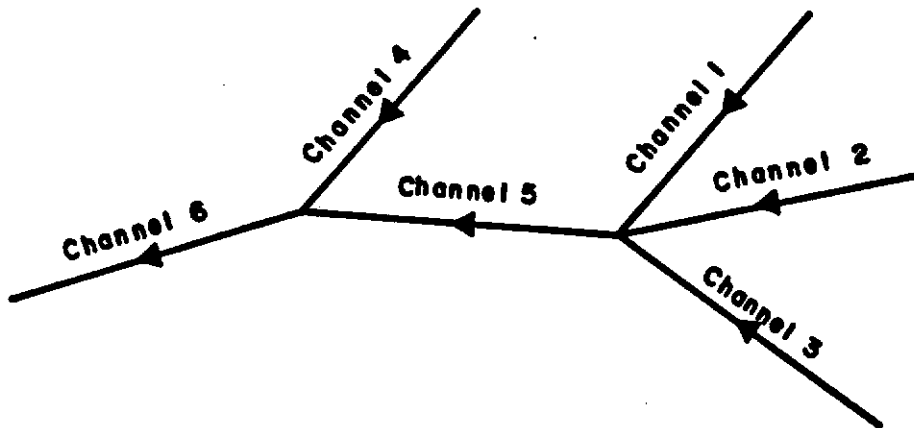


Figure 4.7 Hypothetical Channel Network

Table 4.4 Physical Properties of Hypothetical Channel Network

Channel number (1)	Length, in feet (meters) (2)	Slope (3)	Width, in feet (meters) (4)	Manning n (5)
1	1968.5 (600)	0.0005	16.4 (5)	0.0138
2	1968.5 (600)	0.0005	16.4 (5)	0.0207
3	1968.5 (600)	0.0005	16.4 (5)	0.0207
4	1968.5 (600)	0.0005	16.4 (5)	0.0138
5	1968.5 (600)	0.0010	26.2 (8)	0.0141
6	1968.5 (600)	0.0010	32.8 (10)	0.0125

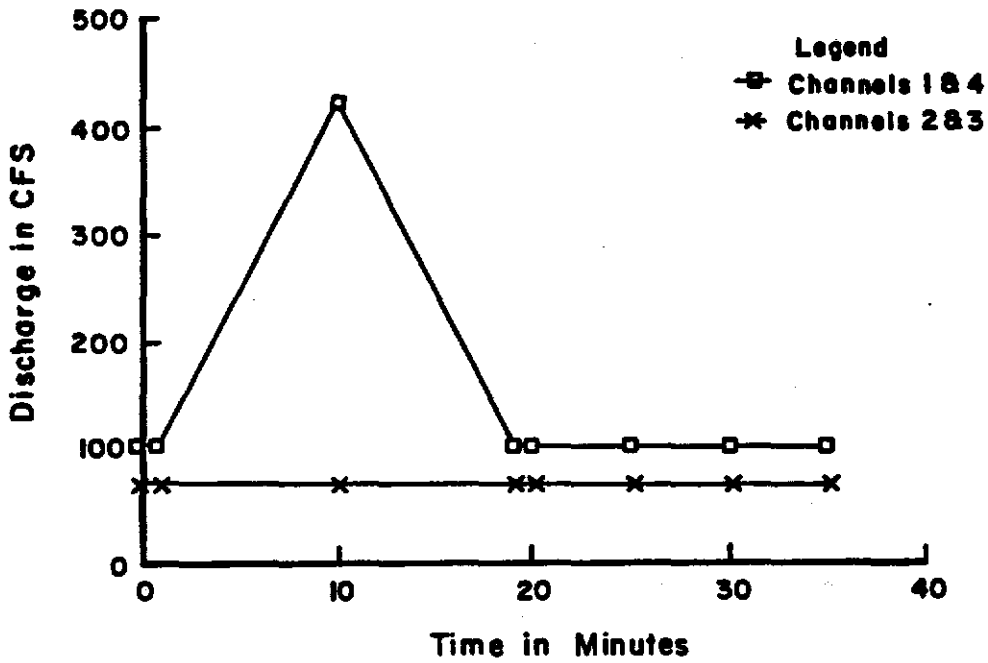


Figure 4.8 Inflow Hydrographs for Example I

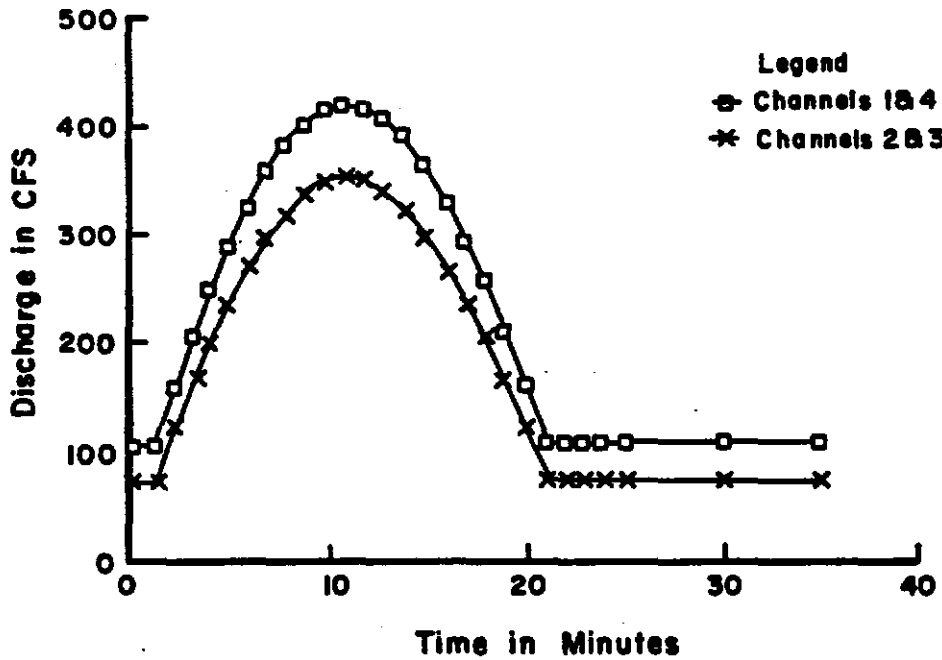


Figure 4.9 Inflow Hydrographs for Example II

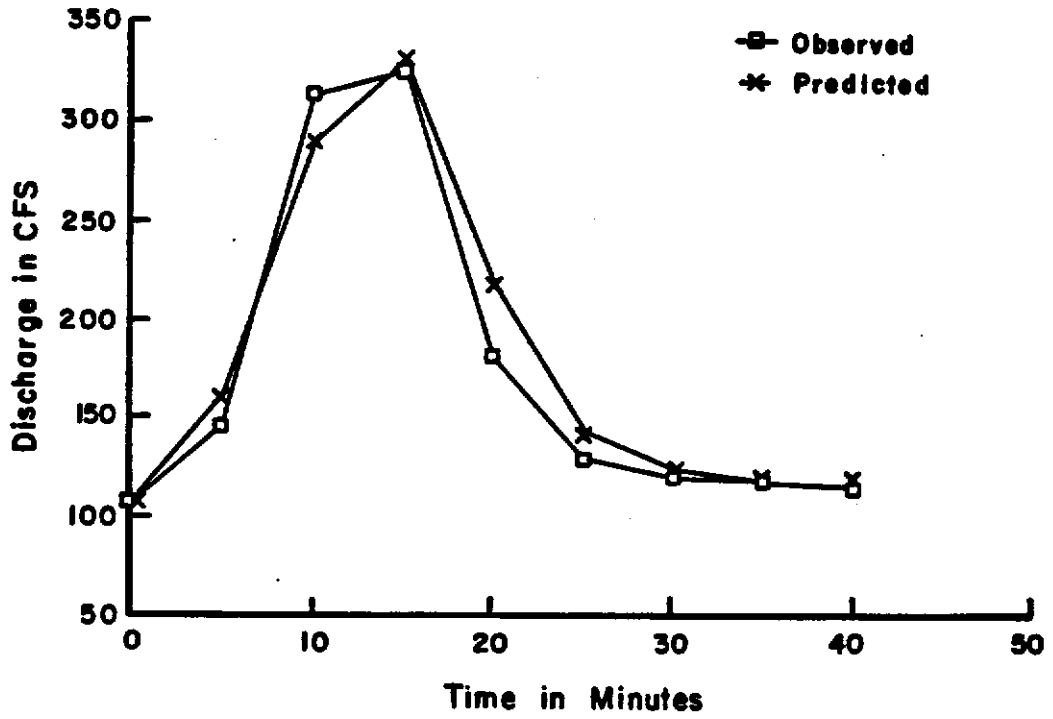


Figure 4.10a Example I Hydrographs for Channel 1

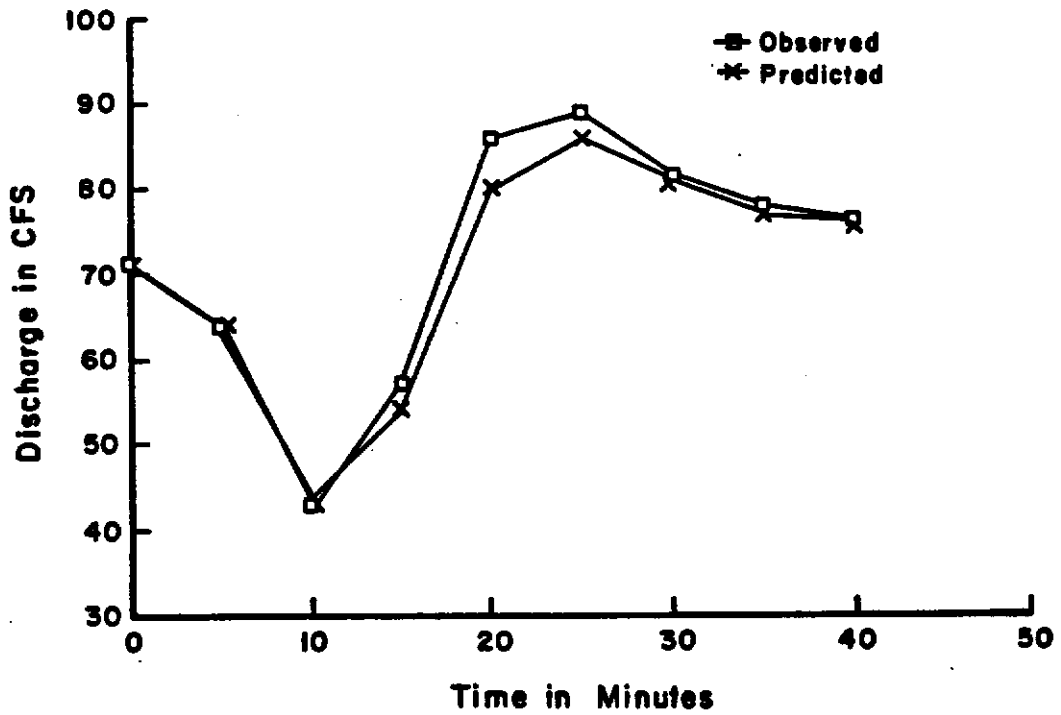


Figure 4.10b Example I Hydrographs for Channels 2 and 3

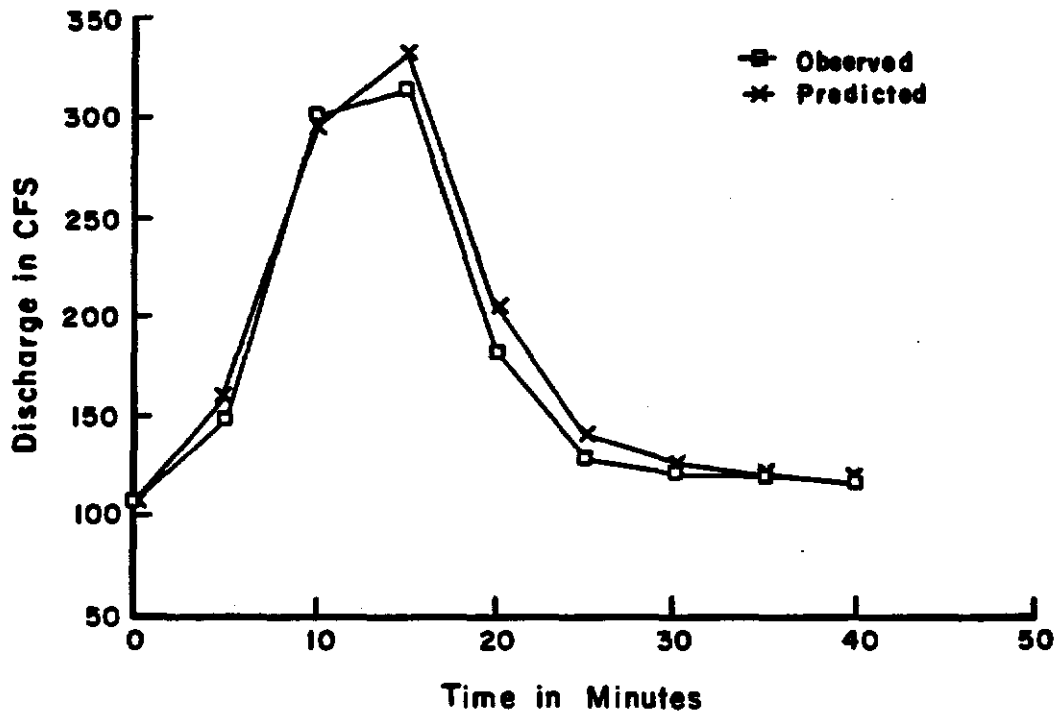


Figure 4.10c Example I Hydrographs for Channel 4

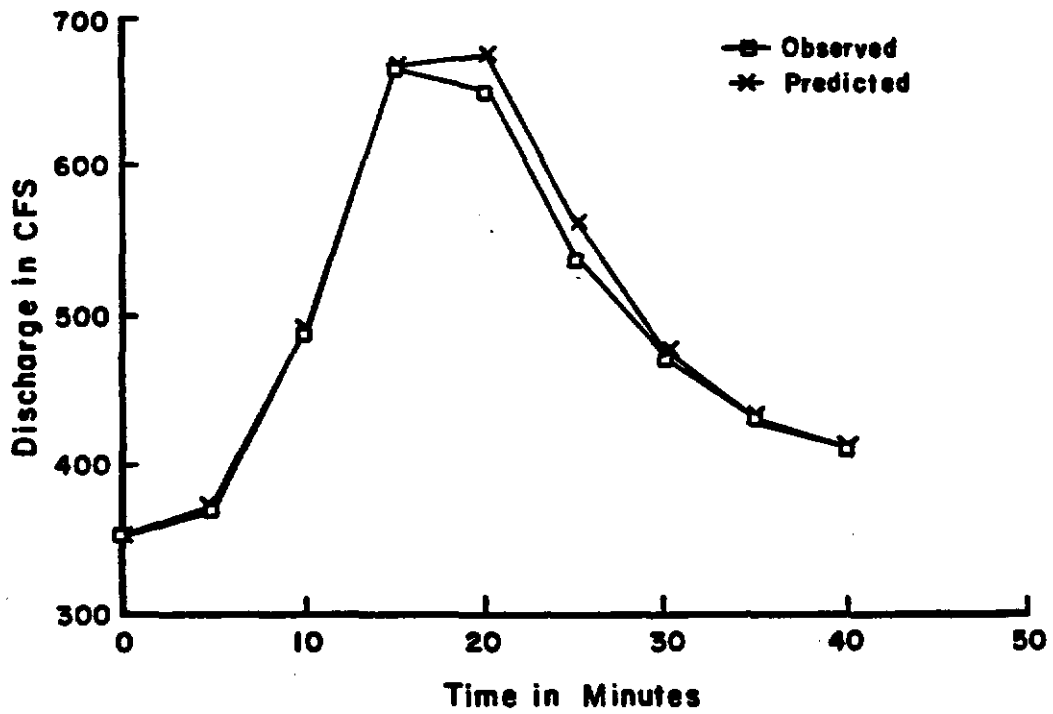


Figure 4.10d Example I Hydrographs for Channel 6

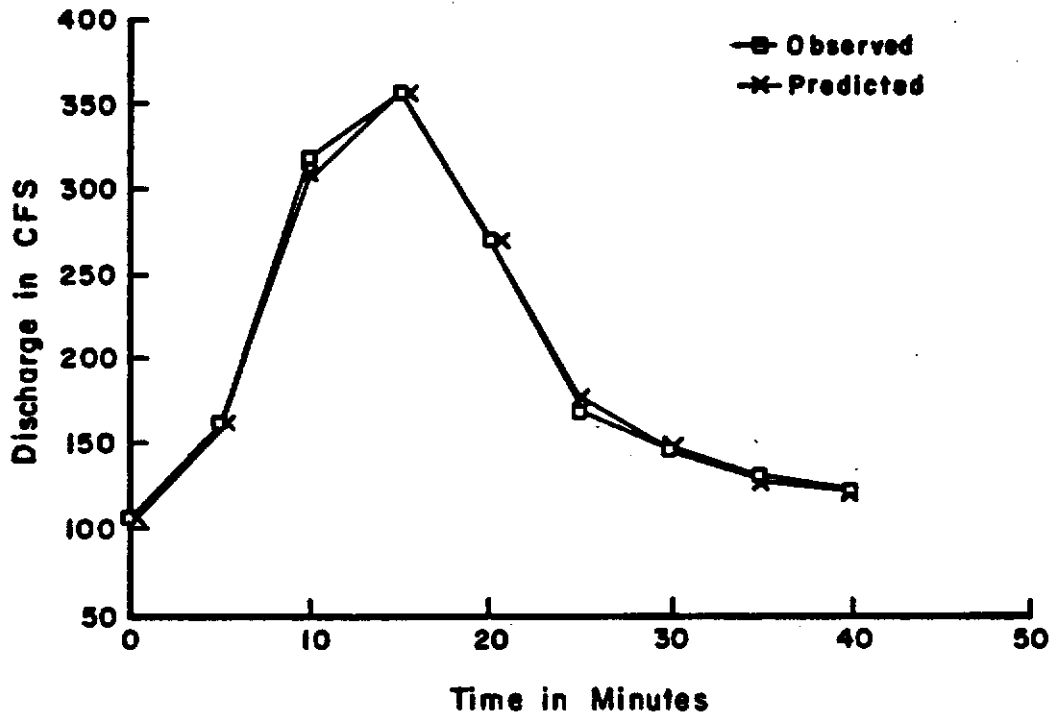


Figure 4.11a Example II Hydrographs for Channel 1

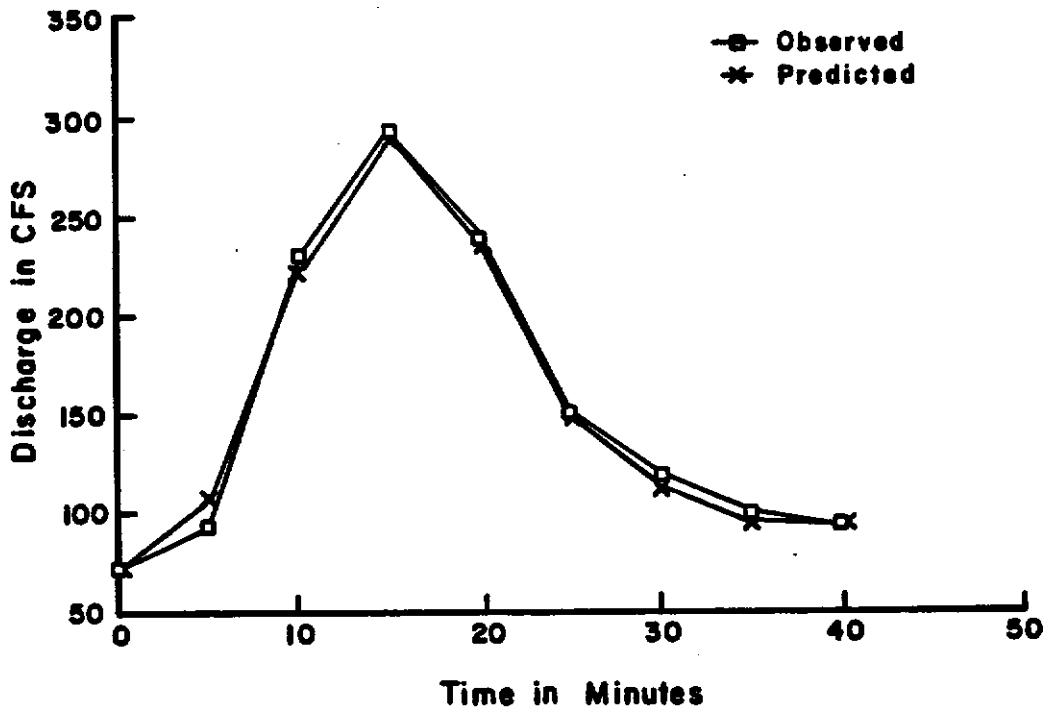


Figure 4.11b Example II Hydrographs for Channels 2 and 3

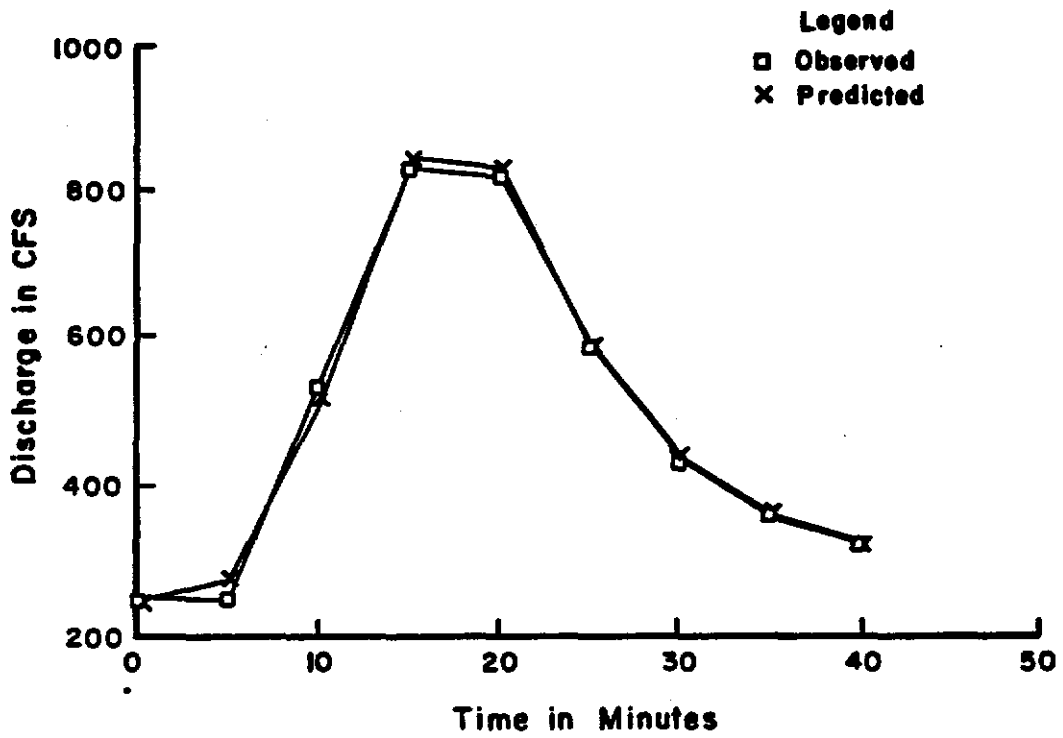


Figure 4.11c Example II Hydrographs for Channel 5

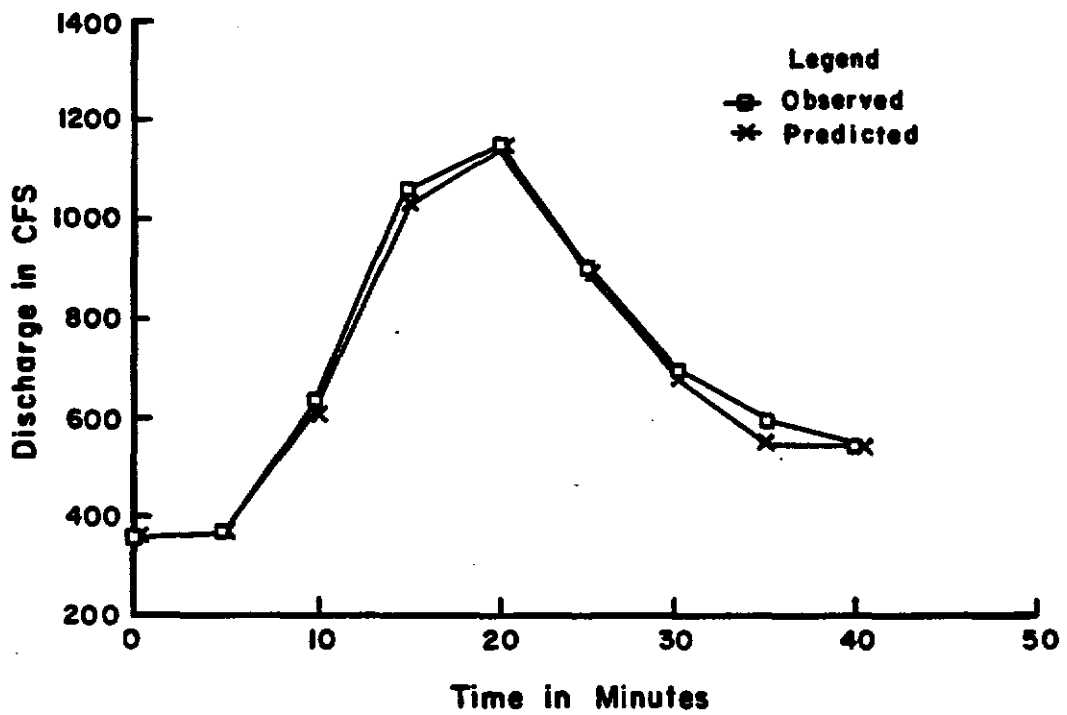


Figure 4.11d Example II Hydrographs for Channel 6

### 4.3. DYNAMIC RILL VALIDATION

The final validation study involved the evaluation of the complete hydrologic model. In order to test the complete model structure, HYMODRIN was applied to an example rill network system. The rill network system is shown in Figure 4.12. The CDATA and HDATA files for the entire system are provided in APPENDIX E. Each subrill was modeled as a rectangular channel.

The physical characteristics of the soils in the rill system are shown in Table 4.5. Values of the capillary suction pressure  $\psi_f$  and the hydraulic conductivity  $K_s$  ( $cm/sec$ ) were obtained using the following relationships developed by Brakensiek and Engleman (1979):

$$\ln \psi_f = 3.4948 - 0.0146 (\%sand): \quad r^2 = -0.874 \quad (4.1)$$

$$\ln K_s = -11.9661 - 1.9784 \ln (\%clay/100): \quad r^2 = -0.982 \quad (4.2)$$

Average values of the bulk density ( $g/cm^3$ ), depth to the impermeable layer ( $in$ ), and the initial soil moisture (%) were obtained by averaging 72 sample values from each of the experimental plots. The bulk density and soil moisture values were obtained using a bulk density meter while the depth to the impermeable layer values were obtained using a pentrometer. An estimate of the soil porosity ( $\phi$ ) was obtained in terms of the bulk density ( $B_d$ ) using the following equation:

$$\phi = 1 - \frac{B_d (g/cm^3)}{2.65 (g/cm^3)} \quad (4.3)$$

In applying HYMODRIN to the example rill system, each subrill was simulated using a series of linear elements. The number of elements was dependent upon the length of the particular subrill. The maximum number of elements used to simulate any one subrill was limited to ten.



HYMODRIN was applied to the example rill system using a computational time interval of 10 seconds. The rill system was analyzed for a single rainfall event which consisted of a constant rainfall intensity of 87 mm/hr and a storm duration of 90 minutes.

In applying HYMODRIN to the example rill system a numerical instability problem was encountered in processing some of the subrill elements. Attempts to isolate the cause of the problem proved to be unsuccessful. As a result, the entire network system could not be simulated.

In order to evaluate the mass continuity components of the model, the rill network was simulated as a single plane element using the watershed characteristics identified in Table 4.5. The model was then calibrated by adjusting the Manning's n coefficient, the initial moisture content, and the hydraulic conductivity. The resulting hydrograph is shown in Figure 4.13. As can be seen from the figure, both the observed and predicted hydrographs are very similar.

Table 4.5 Watershed Characteristics of Example Rill Network

Depression Storage (mm)	10.0
Initial Soil Moisture (%)	10
Porosity (%)	52
Capillary Suction Pressure (cm)	25
Hydraulic Conductivity (cm/hr)	.700
Soil Depth (cm)	15.5
Slope (%)	9
Mannings Roughness	.02

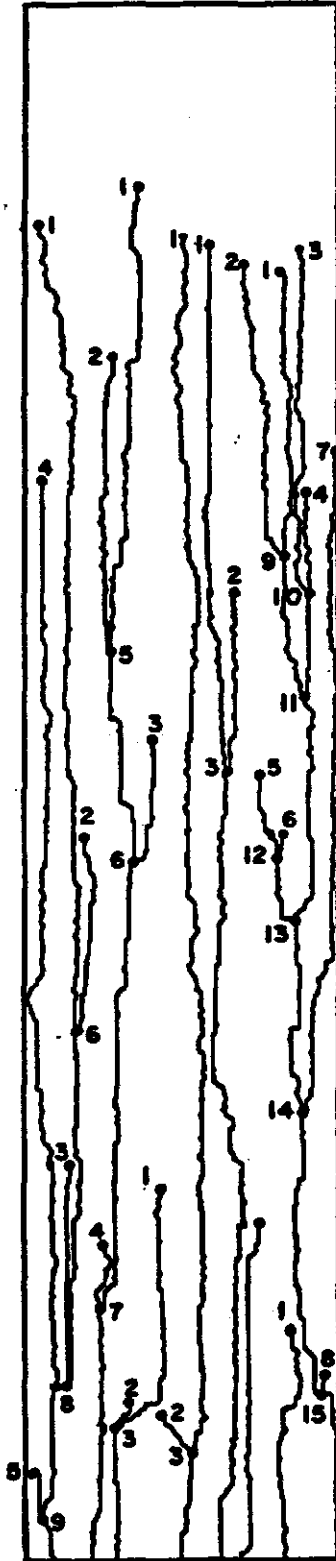


Figure 4.12 Schematic of Example Rill Network

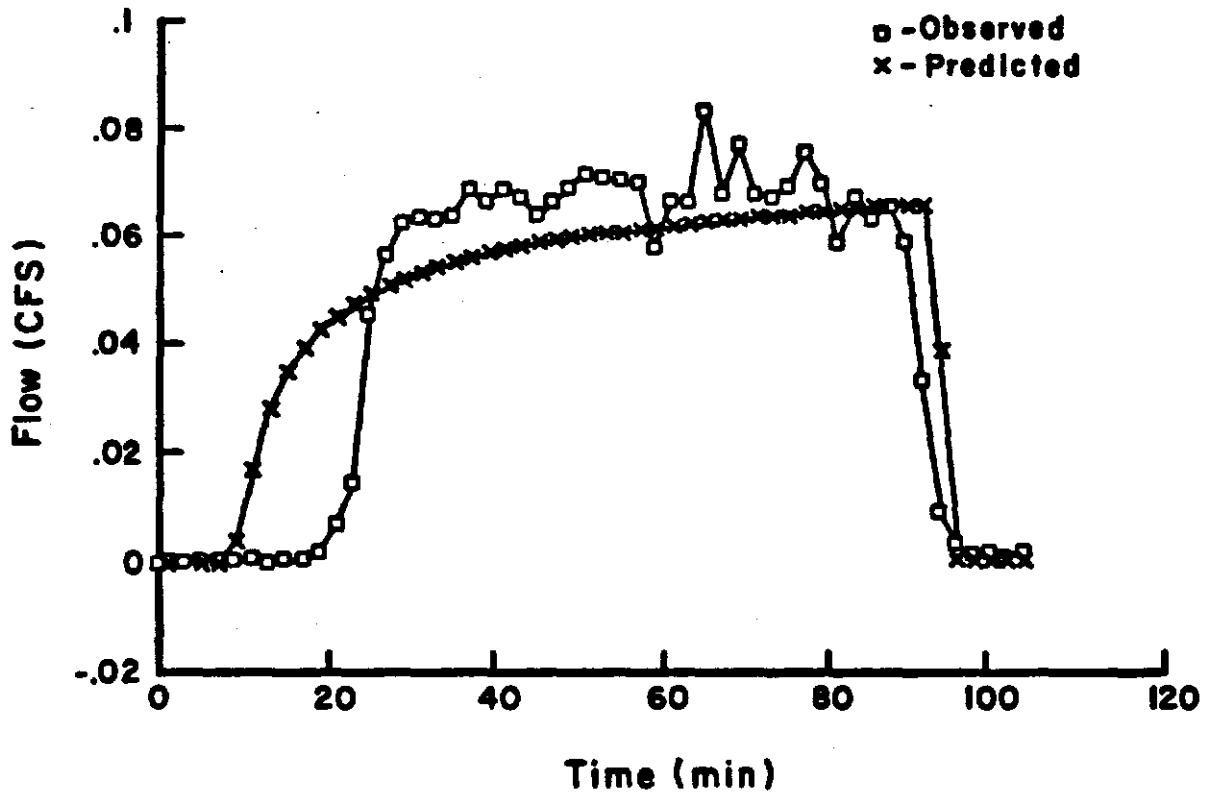


Figure 4.13 Hydrograph for Example Rill Network

## V. SUMMARY AND RECOMMENDATIONS

A comprehensive model has been developed for use in modeling the hydrologic response of rill network systems. The model is composed of both a hydrologic runoff component and a hydraulic channel routing component. The hydrologic component of the model uses a Green Ampt infiltration approach linked with a nonlinear reservoir runoff model. The channel routing component of the model is based on a finite element solution of the diffusion wave equations. In order to account for backwater effects the model employs a dual level iteration scheme.

The individual components of the model for evaluated for two separate watersheds and a hypothetical channel network. In each case the model was able to reproduce either the observed or documented results with a satisfactory level of performance.

After the individual components of the model were tested the entire model was applied to an example rill network system. Unfortunately, a numerical instability problem was encountered which prevented the processing of the entire rill network system. As a result, the network was modeled as a single overland plane. The hydrograph which resulted from the application of the model in this model was in close correlation with the observed hydrograph.

The existing model needs further testing and evaluation before application in a production setting. The main area of concern lies in the sensitivity of the diffusion wave solution methodology to computer round-off errors. Future work with the model should focus on the underlying reason for the instability of the equations with a goal of producing a more stable algorithm.

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## APPENDIX A: DATA REQUIREMENTS FOR GHIM

As indicated in Chapter I, the geographic hydrologic interface program requires as input four separate data files: NDATA, IDATA, SDATA, and EDATA. All four of these data files are produced by the rill development program RDM. The geographic hydrologic interface program uses the information from these data files to create a single output file (i.e., HDATA) which provides a complete physical characterization of the hydrologic response area. This file is used along with an additional control file (i.e., CDATA) as input to HYDROMIN.

This appendix contains a detailed description of each of the four input data files associated with GHIM. Also included is a description of the required data format associated with each file.

### A.1. NDATA

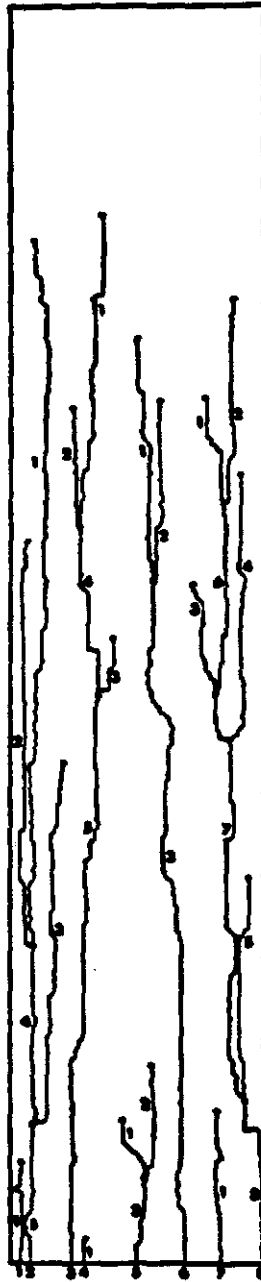
The NDATA file contains information on the number of interrill cells associated with each individual subrillshed along with the number of subrill cells associated with each subrill. The file also contains information on the number of upstream (master) subrills that directly drain into each subrill along with the identification number associated with each of the subrills. The required data format for each line in the NDATA file is shown in Table A.1.

All subrills associated with a particular rill are assigned identification numbers starting with the exterior subrills first followed by the interior subrills next. The exterior subrill numbers may be assigned in any order while the interior subrills must be numbered sequentially starting with the highest subrill first. An example of this type of numbering scheme is shown in Figure A.1.

Table A.1 Required Data Format for NDATA

<b>Card Group</b>	<b>Format</b>	<b>Columns</b>	<b>Card Description</b>	<b>Variable Name</b>
<b>N1</b>	<b>2x</b>	<b>1-2</b>		
	<b>I5</b>	<b>3-5</b>	<b>Number of Rills</b>	<b>NR</b>
<b>N2</b>	<b>2x</b>	<b>1-2</b>	<b>Card Group Identifier</b>	
	<b>I5</b>	<b>3-5</b>	<b>ID Number of Rill</b>	<b>IDR</b>
	<b>I5</b>	<b>6-10</b>	<b>Number of Subrills per Rill</b>	<b>NSR</b>
<b>N3</b>	<b>2x</b>	<b>1-2</b>	<b>Card Group Identifier</b>	
	<b>I5</b>	<b>3-7</b>	<b>ID Number of Subrill</b>	<b>IDSR</b>
	<b>I5</b>	<b>8-12</b>	<b>Number of Subrill Cells per Subrill</b>	<b>NCSR</b>
	<b>I5</b>	<b>13-17</b>	<b>Number of Interill Cells</b>	<b>NCSA</b>
	<b>I5</b>	<b>18-22</b>	<b>Number of Masters</b>	<b>ISLVC(I)</b>
		<b>23-42</b>	<b>ID of Each Master</b>	





**Figure A.1 Rill Network Numbering Scheme**

### A.2. IDATA

The IDATA file contains the X-Y coordinate pairs for each interrill cell for the entire hydrologic response area. The X-Y coordinate pairs are grouped in the data file according to their associated subrillshed. The blocks of X-Y coordinate pairs are arranged starting with the first subrillshed associated with rill 1 and ending with the last subrillshed associated with rill NR. The number of interrill cells associated with each subrillshed is specified in the NDATA file. The required data format for each line in the IDATA file is shown in Table A.2.

Table A.2 Required Data Format for IDATA

Card Group	Format	Columns	Card Description	Variable Name
11	2x	1-2	Card Group Identifier	
	12	3-4	X Coordinate of Area	EKA
	14	5-8	Y Coordinate of Area	IYA

### A.3. SDATA

The SDATA file contains the X-Y coordinate pairs for each subrill cell for the entire hydrologic response area. Associated with each X-Y coordinate pair is the total number of upstream cells which drain into the particular subrill cell. The X-Y coordinate pairs are grouped in the data file according to their associated subrill. The blocks of X-Y coordinate pairs are arranged starting with the first subrill associated with rill 1 and ending with the last subrill associated with rill NR. The

number of subrill cells associated with each subrill is specified in the NDATA file. The required data format for each line in the SDATA file is shown in Table A.3.

Table A.3 Required Data Format for SDATA

<b>Card Group</b>	<b>Format</b>	<b>Columns</b>	<b>Card Description</b>	<b>Variable Name</b>
<b>S1</b>	<b>2x</b>	<b>1-2</b>	<b>Card Group Identifier</b>	
	<b>I4</b>	<b>3-6</b>	<b>X Coordinate</b>	<b>IXC</b>
	<b>I6</b>	<b>7-12</b>	<b>Y Coordinate</b>	<b>IYC</b>
	<b>I6</b>	<b>13-18</b>	<b>Number of Area Cells Draining to this Channel</b>	<b>IFQ</b>

#### A.4. EDATA

The EDATA file contains the elevation associated with each cell in the entire hydrologic response area. The data is grouped in sequential blocks with each block associated with a particular row in the grid network. The required data format for each block of data is shown in Table A.4.

Table A.4 Required Data Format for EDATA

<b>Card Group</b>	<b>Format</b>	<b>Columns</b>	<b>Card Description</b>	<b>Variable Name</b>
<b>E1</b>	<b>2x</b>	<b>1-2</b>	<b>Card Group Identifier</b>	
	<b>I2</b>	<b>3-4</b>	<b>First Elevation Value</b>	<b>IE1(I)</b>
	<b>180I4</b>	<b>5-724</b>	<b>Elevation Values</b>	

## APPENDIX B: DATA REQUIREMENTS FOR HYMODRIN

As indicated in Chapter III, HYDROMIN requires two input data files: HDATA and CDATA. The HDATA file is produced by GHIM while CDATA must be produced by the user. Both data files are discussed in detail in the following sections.

### B.1. HDATA

The HDATA file contains information regarding the physical characteristics of the hydrologic response area. The HDATA file is divided into five different types of records, or card groups. The first card (i.e., H1) contains the total number of rills in the hydrologic response area. The second card, (i.e., H2) contains the ID number of a particular rill and the associated number of subrills. A separate H2 card is required for each rill in the hydrologic response area. This card must be followed by a separate H3 and H4 card for each subrill along with an associated set of H5 cards. The H3 and H4 cards are used to describe the characteristics of each subrill while the H5 cards are used to describe the characteristics of the associated subrillshed. The required data format for each HDATA file is provided in Table B.1. An example HDATA file for the rill network shown in Figure A.1. is provided in Table B.2.

As discussed in Chapter II, each subrillshed may be subdivided into a series of interrill flow elements and an additional single source area flow element. Each interrill flow element may be further subdivided into a left plane and a right hand plane. Each H5 card is used to describe the characteristics of either a source area flow element, a right hand interrill flow element, or a left hand interrill flow plane. The maximum total number of H5 cards associated with a particular subrill will be equal to  $(NIRE_{i,j} * 2) + 1$ , where  $NIRE_{i,j}$  equals the number of interrill elements associated with rill  $i$  and subrill  $j$ .

Table B.1 Required Data Format for HDATA

Card Group	Format	Columns	Card Description	Variable Name
H1	2x	1-2	Card Group Identifier	
	I3	3-5	Number of Rills	NR
H2	2x	1-2	Card Group Identifier	
	I3	3-5	ID Number of Rill	IDR
	I5	6-10	Number of Subrills per Rill	NUMSC
H3	2x	1-2	Card Group Identifier	
	I8	3-10	ID Number of Rill	IDR
	I10	11-20	ID Number of Subrill	IDSR
	I10	21-30	Number of Channel Elements	NELM
	F10.2	31-40	Channel Length (m)	CLGH
	F10.2	41-50	Channel Slope (mm)	CSLP
	F10.2	51-60	Cummulative Flow Area (m <sup>2</sup> )	FCAR
	F10.2	61-70	Channel Width (m)	CHW
	F5.2	71-75	Width Design Flow (cfs)	QWD
	F5.2	76-80	Channel Base Flow (cfs)	QIN
H4	2x	1-2	Card Group Identifier	
	5I5	1-5	Number of Masters	NSLVC(I)
		6-25	ID of Each Master	

Table B.1 Required Data Format for HDATA

Card Group	Format	Columns	Card Description	Variable Name
H5	2x	1-2	Card Group Identifier	
	I5	3-5	ID Number of Subrill Element	IEL
	I5	6-10	ID Number of Plane: 0 = Upper 1 = Right 2 = Left	IP
	I5	11-15	X Coordinate	IX
	I5	16-20	Y Coordinate	IY
F10.2		21-30	Area of Plane (m <sup>2</sup> )	AREA
F10.2		31-40	Plane Length (m)	PLNG
F10.2		41-50	Plane Slope (m/m)	PSLP
F10.2		51-60	Plane Roughness (mm)	PRGH
F10.2		61-70	Cummulative Flow Area (m <sup>2</sup> )	FAVL
F10.2		71-80	Element Length (m)	ELNG

Table B.2 Example HDATA file

H1	9									
H2	1	9								
H3	1		1		5	11.78560	0.08045	4.48515		
H4	0	0	0	0	0					
H5	1	1	30	296	0.15063	0.05927	0.17109	10.58602	4.48515	2.54000
H5	1	2	29	394	0.17002	0.04156	0.14640	10.23766	4.16451	2.54000
H5	2	1	30	395	0.12855	0.05054	0.18167	5.01476	4.16322	2.54000
H5	2	2	24	492	0.38564	0.12544	0.09253	9.08366	3.65031	2.54000
H5	3	1	24	493	0.17980	0.07235	0.09804	4.14928	3.64967	2.54000
H5	3	2	26	591	0.16471	0.04156	0.15323	7.75602	3.30580	2.54000
H5	4	1	26	592	0.22478	0.07005	0.11050	2.86814	3.30451	2.54000
H5	4	2	22	686	0.34167	0.08315	0.07979	3.92599	2.73935	2.54000
H5	5	1	22	687	0.16765	0.04789	0.11032	3.07073	2.73870	1.62560
H5	5	2	9	747	1.14977	0.30272	0.09522	6.01680	1.42193	1.62560
H5	6	0	9	747	1.42193	3.14960	0.06865	12.00394	1.42193	0.00000
H3	1		2		2	2.87020	0.09135	3.02451		
H4	0	0	0	0	0					
H5	1	1	30	296	0.48466	0.10211	0.32534	17.08169	3.02451	2.54000
H5	1	2	38	394	1.20437	0.22834	0.13204	18.91173	1.33548	2.54000
H5	2	1	36	395	0.00402	0.05292	0.05633	1.83722	1.33096	0.33020
H5	2	2	36	406	0.04050	0.52493	0.10382	13.21119	1.29096	0.33020
H5	3	0	36	406	1.29096	3.08779	0.07881	9.11308	1.29096	0.00000
H3	1		3		2	3.17500	0.08911	1.80774		
H4	0	0	0	0	0					
H5	1	1	25	99	0.21744	0.07061	0.17144	7.03517	1.80774	2.54000
H5	1	2	25	198	0.18772	0.03556	0.29095	6.84882	1.40258	2.54000
H5	2	1	25	199	0.05979	0.13818	0.31095	6.05172	1.40193	0.63500
H5	2	2	27	223	0.04924	0.08839	0.15705	2.95836	1.29355	0.63500
H5	3	0	27	223	1.29355	5.12656	0.10004	16.40262	1.29355	0.00000
H3	1		4		6	13.00480	0.09165	6.51998		
H4	0	0	0	0	0					
H5	1	1	19	98	0.27016	0.10414	0.20234	7.33167	6.51998	2.54000
H5	1	2	17	197	0.28597	0.08484	0.14314	6.19629	5.96386	2.54000
H5	2	1	17	198	0.28823	0.10730	0.15964	6.50636	5.95870	2.54000
H5	2	2	8	295	0.43371	0.13659	0.10018	6.87874	5.24192	2.54000
H5	3	1	8	296	1.09234	0.21590	0.08861	4.14036	5.23805	2.54000
H5	3	2	13	395	0.65540	0.10414	0.08208	7.39363	3.49419	2.54000
H5	4	1	13	396	0.43567	0.31370	0.09594	6.76520	3.49225	2.54000
H5	4	2	11	492	0.18239	0.10605	0.10437	4.81643	2.87612	2.54000
H5	5	1	11	493	0.74174	0.26365	0.08671	5.91189	2.87548	2.54000
H5	5	2	11	592	0.79890	0.25857	0.07229	7.32300	1.33548	2.54000
H5	6	1	11	593	0.01866	0.25188	0.06282	4.33356	1.33419	0.30480
H5	6	2	11	604	0.02650	0.33232	0.07857	3.44384	1.29032	0.30480
H5	7	0	11	604	1.29032	2.68556	0.08270	4.07609	1.29032	0.00000



## B.2. CDATA

The CDATA file contains the values of the control parameters for HYDROMIN as well as soil and rainfall data for a particular analysis. The CDATA file contains nine different card groups or lines of data. The required data formats for the various cards in the CDATA file are shown in Table B.3.

The first card of the CDATA file (i.e., C1) contains two lines of title information for use in describing the particular analysis. The C2 card contains the values of several time and iteration limit parameters. These include the total number of time steps (NTS), the time step flow depth profile output number (NFDC), the maximum number of diffusion water iterations (MDWIT), and the maximum number of downstream boundary condition iterations (MBCIT).

The C3 card contains additional numerical analysis parameters. These include the finite difference time weighting coefficient (RTH), the relative diffusion wave tolerance (DWT), the boundary condition tolerance (BCT) the computational time interval (DT), the tractive force coefficient (TRACF), and the Manning's roughness coefficient (RMANN).

The C4 card contains the time parameters for the input rainfall distribution. These parameters include the total number of time intervals (NRAIN), and the time in seconds associated with each interval (DELTA). The C5 cards contain the rainfall values (cm) associated with each of the time intervals.

The C6 card contains the depth and soil composition of the first soil layer. These parameters include the soil depth (i.e., SL1), the initial soil moisture (SMCI), the percent clay in the soil layer (i.e., CLAY), and the percent sand in the soil layer (i.e., SAND). The C7 card contains the infiltration parameters for the two layer Green Ampt model. These parameters include the wetting front suction head for each soil layer (i.e., SAV1 and SAV2), the total porosity for each soil layer (i.e., POR1 and POR2), and the hydraulic conductivity for each soil layer (i.e., FK1 and FK2).

Table B.3 Required Data Format for CDATE

Card Group	Format	Columns	Card Description	Variable Name
C1	2x	1-2	Card Group Identifier	
	A70	3-72	Title	ITLE
C2	2x	1-2	Card Group Identifier	
	I3	3-5	Number of Time Steps	NTS
	I5	6-10	Time Step Flow Depth Profile Output Number	NFDC
	I5	11-15	Maximum Number of Diffusion Wave Iterations	MDWIT
	I5	15-20	Maximum Number of Downstream Boundary Condition Iterations	MBCIt
C3	2x	1-2	Card Group Identifier	
	F8.2	3-10	Time Weighting Coefficient Between .5 and 1.00	RTH
	F10.2	11-20	Relative Diffusion Wave Tolerance	DWT
	F10.2	21-30	Relative Boundary Condition Tolerance	BCT
	F10.2	31-40	Time Steps in Seconds	DT
	F10.2	41-50	Critical Tractive Force of Soil	TRACF
	F10.2	51-60	Mannings Roughness Coefficient	RMANN

Table B.3 (Cont) Required Data Format for CDATA

Card Group	Format	Columns	Card Description	Variable Name
C4	2x	1-2	Card Group Identifier	
	18	3-10	Intervals of Time	NRAIN
	F10.1	11-20	Delta	DELTA
C5	2x	1-2	Card Group Identifier	
	F8.0	3-10	Rainfall Read 1 to NRAIN	HY(1)
C6	2x	1-2	Card Group Identifier	
	F8.2	3-10	Soil Depth	SL1
	F10.2	11-20	Initial Soil Moisture	SMCI
	F10.2	21-30	Clay % in Soil Layer	CLAY
	F10.2	31-40	Sand % in Soil Layer	SAND

Table B.3 (Cont) Required Data Format for CDATA

Card Group	Format	Columns	Card Description	Variable Name
C7	2x	1-2	Card Group Identifier	
	F8.2	3-10	Wetting Front Suction Head for Upper Layer	SAV1
	F10.2	11-20	Wetting Front Suction Head for Lower Layer	SAV2
	F10.2	21-30	Total Porosity for Upper Layer	POR1
	F10.2	31-40	Total Porosity for Lower Layer	POR2
	F10.2	41-50	Hydraulic Conductivity for Upper Layer	FK1
	F10.2	51-60	Hydraulic Conductivity for Lower Layer	FK2

**APPENDIX C**

**COMPUTER LISTING OF GHIM**

```

C      FILE: GHIM.FORTRAN                LAST REVISION: SEPTEMBER 20, 1990
C
C      PROGRAM TO CREATE INPUT DATA FILE FOR HYDROMIN.FORTRAN AND
C      DYRT.FORTRAN USING OUTPUT DATA FILES FROM GIS.FORTRAN
C      PREPROCESSOR PROGRAM FOR DYNAMIC RILL NETWORK PROJECT USGS
C
C      NOTE: ALL UNIT IN M OR M^2, ACCEPT RANDOM ROUGHNESS IN MM
C
C      WRITTEN BY: LINDELL ORMSBEE  UNIVERSITY OF KENTUCKY, LEXINGTON, KY
C                   CIVIL ENGINEERING DEPARTMENT
C
C      REVISED BY: DANIEL E. STORM  UNIVERSITY OF KENTUCKY, LEXINGTON, KY
C                   AGRICULTURAL ENGINEERING DEPARTMENT
C
C      IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
C
C      COMMON/CDATA/CLNG,CSLP,FCAR,UNITA,UNITL
C      COMMON/FILES/IF1,IF2,IF3,IF4,IF5,IF6
C      COMMON/IACELL1/IXA(32000)
C      COMMON/IACELL2/IYA(32000)
C      COMMON/IACELL3/IXLMX(32000),IXRMX(32000)
C      COMMON/IBCELL/IXL(32000),IYL(32000),IXR(32000),IYR(32000)
C      COMMON/ICCELL/IXC(32000),IYC(32000),IFQ(32000),IFQQ(32000)
C      COMMON/IDELL1/IXXA(32000),IYYA(32000)
C      COMMON/IDELL2/IXMA(32000),IXCA(32000),IYCA(32000)
C      COMMON/INDEX/KNCRA(50,50),KNCAA(50,50)
C      COMMON/NDATA/NCSAA(50,50),NCSRA(50,50),NSRA(50)
C      COMMON/PDATA/IXM,IYM,IXN,IYN,AREA,PLNG,PSLP,PRGH
C      COMMON/IDATA/ISLVC(5),NSLVC(50,50,5)
C      COMMON/MXMY/ MX,MY
C      COMMON/ELEV/ X(32000),Y(32000),Z(32000),NELEV(181,871)
C
C      INTEGER*4 ICN(7),XX(181),BND(16)
C      CHARACTER*1 IDISK,EDISK,ODISK
C      CHARACTER*5 RCODE
C      CHARACTER*25 FNET,FLEV,FBND,NDATA,SDATA,IDATA,EDATA,HDATA
C
C      DEFINE INPUT/OUTPUT DISKS
C
C      IDISK='B'
C      EDISK='B'
C      ODISK='A'
C
C      DEFINE INPUT AND OUTPUT FORMAT STATEMENTS
C
1001  FORMAT(6I6,7I4)
1002  FORMAT(12I6)
1003  FORMAT(3I6)
1004  FORMAT(2I6)
C
2001  FORMAT(4I5,6F10.5)
2002  FORMAT(3I10,4F10.5)

```

2003 FORMAT(15)  
 2004 FORMAT(215)  
 2005 FORMAT(515)

C  
 C  
 C

DEFINE OUTPUT INDEX

IF1 - 1  
 IF2 - 2  
 IF3 - 3  
 IF4 - 0  
 IF5 - 7  
 IF6 - 0  
 IF7 - 9  
 IF8 - 10  
 IF9 - 11

C  
 C  
 C

INPUT RUN CODE

WRITE(6,\*) 'INPUT RUN CODE (EX: S2R2)'  
 READ (6,1) RCODE  
 1 FORMAT(A5)  
 RCODE='S2R2'

C  
 C  
 C  
 C

DEFINE FILE NAMES

FBND -'///RCODE//' BND '///IDISK  
 FLEV -'///RCODE//' LEV '///EDISK  
 FNET -'///RCODE//' NET '///IDISK

C

NDATA-'///RCODE//' CHN '///IDISK  
 SDATA-'///RCODE//' SDATA '///IDISK  
 IDATA-'///RCODE//' SHD '///IDISK  
 HDATA-'///RCODE//' HDA '///ODISK

C  
 C

.....  
 SET CONTROL PARAMETERS

C  
 C  
 C

MX - MAXIMUM NUMBER OF ROWS OF ELEVATION DATA  
 MY - MAXIMUM NUMBER OF COLUMNS OF ELEVATION DATA  
 NCPE - NUMBER OF CELLS PER ELEMENT  
 UNITA - UNIT AREA OF EACH CELL (M)  
 UNITL - UNIT LENGTH OF EACH CELL (M)

C  
 C  
 C

C  
 C  
 C

MINE - MINIMUM NUMBER OF ELEMENTS PER SUBRILL  
 MAXE - MAXIMUM NUMBER OF ELEMENTS PER SUBRILL

C  
 C  
 C

C  
 C  
 C

.....  
 UNITA - 1.0/144.\*0.3048\*\*2  
 UNITL - 1.0/12.0\*0.3048  
 MX-181  
 MY-871

```

C
NCPE1-12
MINE-2
MAXE-71

C
C
OPEN INPUT/OUTPUT DATA FILES
C

OPEN(IF1,FILE=NDATA)
CALL FILEINF(IRCODE,'RECFM','F','MAXREC',10000,'LRECL',4*MX)
OPEN(IF2,FILE=SDATA,ACCESS='DIRECT',FORM='UNFORMATTED',RECL=18 )
CALL FILEINF(IRCODE,'RECFM','F','MAXREC',MX*MY,'LRECL',4*MX)
OPEN(IF3,FILE=IDATA,ACCESS='DIRECT',FORM='UNFORMATTED',RECL=8 )
OPEN(IF5,FILE=HDATA)

C
C
READ IN DATA FILES FROM GIS.FORTRAN AND CONVERT TO DIRECT ACCESS
C

OPEN(IF7,FILE=FNET)
I=0
5 READ(IF7,6,END=7) I1,I2,I3
6 FORMAT(3I6)
I=I+1
WRITE(IF2,REC=I) I1,I2,I3
GOTO 5
7 CLOSE (IF7)

C
C
READ IN ELEVATION DATA
C

MX2=MX+2
CALL FILEINF(IRCODE,'RECFM','F','MAXREC',MY+2,'LRECL',4*MX2)
OPEN(IF8,FILE=FLEV,ACCESS='DIRECT',FORM='UNFORMATTED',RECL=MX2*4)
DO 8 I=1,MY
K=MY-I+1
READ(IF8,REC=I+1) L,(NELEV(J,K),J=1,MX)
8 CONTINUE
CLOSE (IF8)

C
C
.....
C
C
READ IN CONTROL DATA
C
C
NR - TOTAL NUMBER OF RILLS IN DATA SET
C
NS - TOTAL NUMBER OF SUBRILLSHEDS IN THE DATA SET
C
C
IDR - RILL ID NUMBER
C
NSR - NUMBER OF SUBRILLS ASSOCIATED WITH RILL IDR
C
NCSR - NUMBER OF CELLS ASSOCIATED WITH SUBRILL IDSR
C
IDSR - SUBRILL ID NUMBER
C
NCSB - NUMBER OF CELLS WHICH DEFINE THE SUBRILLSHED BOUNDARY
C
ASSOCIATED WITH SUBRILL IDSR
C
NCSA - NUMBER OF CELLS WHICH DEFINE THE SUBRILLSHED ASSOCIATED
C
WITH SUBRILL IDSR
C
C
.....

```



```

C
OPEN(IF9,FILE=FBND)
READ(IF1,1001)NR,NS
C
C CHECK FOR ARRAY EXCEEDING DIMENSIONS
C
IF(NR.GT.49) THEN
WRITE(*,*) 'NR NUMBER OF RILLS EXCEEDED',IDR
STOP
ENDIF
C
KNCR-1
KNCA-1
C
I=0
9 I=I+1
IF(I.GT.NS) GOTO 19
READ(IF1,1001)IDR,NSR,NCSR,IDSR,NCSB,NCSA,(ICN(J),J=1,7)
C
C CHECK FOR ARRAY EXCEEDING DIMENSIONS
C
IF(NCSA.GT.32000) THEN
WRITE(*,*) 'NCSA NUMBER OF SUBRILL CELLS EXCEEDED',NCSA
STOP
ENDIF
IF(NCSR.GT.32000) THEN
WRITE(*,*) 'NCSR NUMBER OF SUBRILL CELLS EXCEEDED',NCSR
STOP
ENDIF
IF(NSR.GT.50) THEN
WRITE(*,*) 'NSR NUMBER OF SUBRILLS EXCEEDED',NSR
STOP
ENDIF
C
C CHECK FOR NULL SUBSHED
C
IF(IDR.EQ.0) THEN
NS=I
NR=NR+1
IDR=NR
ENDIF
C
C COUNT NUMBER OF UNSTREAM BRANCHES
C
ICNT=0
DO 16 J=1,7
IF(ICN(J).EQ.0) GOTO 17
ICNT=ICNT+1
16 CONTINUE
17 ISLVC(1)=ICNT
ISLVC(2)=ICN(1)
ISLVC(3)=ICN(2)
ISLVC(4)=ICN(3)

```

```

ISLVC(5)-ICN(4)
C
IF(ICNT.GT.4) THEN
  WRITE(6,*) 'NUMBER OF INCOMING BRANCHES EXCEEDED'
  STOP
ENDIF
C
NSRA(IDR)-NSR
NCSAA(IDR, IDSR)-NCSA
NCSRA(IDR, IDSR)-NCSR
C
DO 10 J=1,5
NSLVC(IDR, IDSR, J)-ISLVC(J)
10 CONTINUE
C
C ASSIGN CUMMULATIVE SCRATCH FILE INDEX FOR EACH SUBRILL
C
KNCRA(IDR, IDSR)-KNCR
KNCAA(IDR, IDSR)-KNCA
C
C UPDATE INDEX
C
KNCR=KNCR+NCSR
KNCA=KNCA+NCSA
C
GOTO 9
19 CLOSE (IF9)
C
C .....
C
C LOOP OVER RILLS
C .....
C
WRITE(IF5,2003)NR
NRSTP=NR-1
C
DO 170 IDR=1,NRSTP
WRITE(IF5,2004)IDR,NSRA(IDR)
C
C .....
C
C LOOP OVER SUB RILLLS (IDSR = SUB RILL ID NUMBER)
C .....
C
DO 160 IDSR=1,NSRA(IDR)
WRITE(*,33) 'PROCESSING RILL # -',IDR,' SUBRILL # -',IDSR,
* ' OF ',NSRA(IDR)
33 FORMAT(A20,I3,A13,I3,A4,I3)
C
ITEST=NSLVC(IDR, IDSR, 1)
NCSR=NCSRA(IDR, IDSR)

```

```

KONE=KNCRA(IDR, IDSR)
KEND=KONE+NCSR-1

```

```

C
C.....
C
C READ IN CELLS FOR SUBRILL IDSR
C
C NCSR - NUMBER OF CELLS WHICH MAKE UP SUBRILL IDSR
C IXC(K) - X COORDINATE OF CELL K
C IYC(K) - Y COORDINATE OF CELL K
C IFQ(K) - FLOW ACCUMULATION UNITS FOR CELL A (I.E. THE TOTAL
C NUMBER OF CELLS THAT DRAIN TO THIS CELL)
C.....
C
C ICE = 0
C DO 20 K=KONE,KEND
C ICE=ICE+1
C READ(IF2,REC-K)IXC(ICE),IYC(ICE),IFQ(ICE)
C WRITE(*,*) K,IFQ(ICE)
C 20 CONTINUE
C.....
C
C DETERMINE CHARACTERISTICS OF SUBRILL IDSR
C.....
C
C CALL SUBRC(NCSR, IDSR, NSRA(IDR))
C.....
C
C DETERMINE TOTAL NUMBER OF ELEMENTS PER SUBRILL
C
C NCSR - NUMBER OF CELLS PER SUBRILL
C NCPE - NUMBER OF CELLS PER ELEMENT
C NESR - NUMBER OF ELEMENTS PER SUBRILL
C
C CLNG - SUBRILL LENGTH
C ELNG - ELEMENTAL SUBRILL LENGHT
C PLNG - INTERRILL PLANE LENGTH
C
C MINE - MINIMUM NUMBER OF ELEMENTS PER SUBRILL
C MAXE - MAXIMUM NUMBER OF ELEMENTS PER SUBRILL
C.....
C
C NCPE=NCPE1
C NESR=NCSR/NCPE+1
C IF(FLOAT(NCSR)/FLOAT(NCPE)+1.EQ.FLOAT(NESR)) NESR=NESR-1
C IF(NESR.LE.MINE-1.OR.NCSR.EQ.NCPE) NCPE=(NCSR+1)/MINE
C IF(NESR.GE.MAXE) NCPE=(NCSR/MAXE)+1
C IF(NESR.LE.MINE-1.OR.NCSR.EQ.NCPE) NESR=MINE

```

```

      IF(NESR.GE.MAXE) THEN
        NESR=NCSR/NCPE+1
        IF(FLOAT(NCSR)/FLOAT(NCPE)+1..EQ.FLOAT(NESR)) NESR=NESR-1
      ENDIF
C
      NEL=NESR
      WRITE(*,*) 'NEL=',NEL
C
      WRITE(IF5,2002)IDR,IDSR,NEL,CLNG,CSLP,FCAR
      WRITE(IF5,2005)(NSLVC(IDR,IDSR,ID),ID-1,5)
C
C.....
C
C      READ IN AREA CELLS FOR SUBRILLSHED IDSR
C
C      NCSA  - NUMBER OF CELLS IN SUBRILLSHED IDSR
C      IXA(K) - X COORDINATE FOR CELL K
C      IYA(K) - Y COORDINATE FOR CELL K
C
C.....
C
      NCSA=NCSAA(IDR,IDSR)
      KONE=KNCAA(IDR,IDSR)
      KEND=KONE+NCSA-1
C
      ICE=0
      DO 30 K=KONE,KEND
        ICE=ICE+1
        READ(IF3,REC=K)IXA(ICE),IYA(ICE)
30    CONTINUE
C
C.....
C
C      INIALIZE COUNTERS
C
C      NEC  - NUMBER OF SUBRILL CELLS IN ELEMENT ISRE
C      NLC  - NUMBER OF AREA CELLS IN LEFT PLANE
C      NRC  - NUMBER OF AREA CELLS IN RIGHT PLANE
C      ISRE - INDEX OF SUBRILL ELEMENT
C.....
C
      NEC2=0
      NEC=0
      NLC=0
      NRC=0
      ISRE=1
C
C.....
C
C      LOOP OVER EACH SUBRILL CELL
C.....
C

```

```
DO 120 K1-1,NCSR
  NEC2=NEC2+1
```

C  
C  
C

```
IF TWO SUBRILL CELLS ARE SIDE BY SIDE, SKIP TO NEXT CELL
```

```
IF(NEC.GT.0) THEN
  IF(IYCA(NEC).EQ.IYC(K1)) THEN
    IXCA(NEC)=IXC(K1)
    IXMLX(NEC)=IXC(K1)
    IXRMX(NEC)=IXC(K1)
    IFQQ(NEC)=IFQ(K1)
    GOTO 65
  ENDIF
ENDIF
```

C

```
NEC=NEC+1
IXCA(NEC)=IXC(K1)
IYCA(NEC)=IYC(K1)
IXLMX(NEC)=IXC(K1)
IXRMX(NEC)=IXC(K1)
IFQQ(NEC)=IFQ(K1)
```

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```
.....
LOOP OVER AREA CELLS (I.E. FIND AREA CELLS ON THE SAME ROW AS
  THE CURRENT SUBRILL CELL)
```

```
.....
DETERMINE OUTER LEFT AND RIGHT CELL ON
EACH ROW (I.E. IXMLX AND IXRMX)
.....
```

```
IXCZ=IXC(K1)
IYCZ=IYC(K1)
```

```
DO 60 K2-1,NCSA
  IF(IYA(K2).EQ.IYCZ) THEN
    IF(IXA(K2).LT.IXCZ) THEN
      NLC=NLC+1
      IXL(NLC)=IXA(K2)
      IYL(NLC)=IYCZ
      IF(IXL(NLC).LT.IXMLX(NEC)) IXMLX(NEC)=IXL(NLC)
    ELSE
      NRC=NRC+1
      IXR(NRC)=IXA(K2)
      IYR(NRC)=IYCZ
      IF(IXR(NRC).GT.IXRMX(NEC)) IXRMX(NEC)=IXR(NRC)
    ENDIF
  ENDIF
CONTINUE
```

60

C

65

```
IF(K1.EQ.NCSR)GO TO 70
IF(NEC2.LT.NCPE)GO TO 120
```

70

CONTINUE

C

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.....

DETERMINE CHARACTERISTICS OF EACH PAIR OF ELEMENT PLANES

.....

DEFINE FLOW AREAS FOR A SUBSHED ELEMENT

ELNG=DFLOAT(NEC2)\*UNITL

AREAL=DFLOAT(NLC)\*UNITA

AREAR=DFLOAT(NRC)\*UNITA

IF(ISRE.EQ.1) THEN

FAVL=DFLOAT(IFQ(2))\*UNITA

ELSE

FAVL=DFLOAT(IFQQ(1))\*UNITA

ENDIF

IF(ISRE.EQ.NESR.AND.ITEST.GT.0) THEN

FAVR=DFLOAT(IFQQ(NEC-1))\*UNITA

ELSE

FAVR=DFLOAT(IFQQ(NEC))\*UNITA

ENDIF

IF(ISRE.EQ.1) FOLD=FAVL

AT=AREAL+AREAR

DIFF=0.

IF(AT.GT.0.) DIFF=(FOLD-FAVR-AT)/AT

AREAL=AREAL\*(1.+DIFF)

AREAR=AREAR\*(1.+DIFF)

IF(NEC.EQ.1) THEN

AREAL=UNITA

AREAR=UNITA

FAVL=DFLOAT(IFQQ(NEC))\*UNITA

FAVR=FAVL

ENDIF

FOLD=FAVR

DETERMINE LEFT ELEMENT CHARACTERISTICS

DO 80 K2=1,NLC

IXXA(K2)=IXL(K2)

IYYA(K2)=IYL(K2)

CONTINUE

DO 90 K2=1,NEC

IXMA(K2)=IXLMX(K2)

CONTINUE

```

      IP=1
      IFLG=1
      CALL SPLANE (NLC,NEC,IFLG,IP)
C
      WRITE(IF5,2001) ISRE,IP,IXCA(1),IYCA(1),AREAL,PLNG,PSLP,
1      PRGH,FAVL,ELNG
C
C      DETERMINE RIGHT ELEMENT CHARACTERISTICS
C
      DO 100 K2=1,NRC
      IXXA(K2)-IXR(K2)
      IYYA(K2)-IYR(K2)
100     CONTINUE
C
      DO 110 K2=1,NEC
      IXMA(K2)-IXRMX(K2)
110     CONTINUE
C
      IP=2
      IFLG=1
      CALL SPLANE (NRC,NEC,IFLG,IP)
C
      M=NEC
      WRITE(IF5,2001) ISRE,IP,IXCA(M),IYCA(M),AREAR,PLNG,PSLP,
1      PRGH,FAVR,ELNG
C
C      RESET COUNTERS
C
      NLC=0
      NRC=0
      NEC=0
      NEC2=0
      ISRE = ISRE+1
C
120     CONTINUE
C
C.....
C
C      UPPER RILL SUBRILLSHED
C.....
C
      IF(ITEST.GT.0) GOTO 160
C
      NEC=0
      NAC=0
      IYMIN=IYC(NCSR)
C
C      DETERMINE SUBRILLSHED BOUNDARY POINTS
C
      DO 140 K1=1,MX
C
      IXMAX=IYMIN

```

```

C
      DO 130 K2=1,NCSA
      IF(IXA(K2).NE.K1.OR.IYA(K2).LE.IYMIN)GO TO 130
      NAC=NAC+1
      IXXA(NAC)=IXA(K2)
      IYYA(NAC)=IYA(K2)
      IF(IYA(K2).GT.IXMAX)IXMAX=IYA(K2)
C
C 130      CONTINUE
C
      IF(IXMAX.GT.IYMIN) THEN
      NEC=NEC+1
      IYCA(NEC)=K1
      IXCA(NEC)=IYMIN
      IXMA(NEC)=IXMAX
      ENDIF
C
C 140      CONTINUE
C
C      GENERATE CHARACTERISTICS OF RILLSHED
C
      IF(NEC.LE.0) THEN
      WRITE(*,*) 'NEC LESS THAN 0'
      STOP
      ENDIF
C
      IP=0
      IFLG=2
      CALL SPLANE(NAC,NEC,IFLG,IP)
C
      IDM1=IXC(NCSR)
      IDM2=IYC(NCSR)
      AREA=DFLOAT(IFQ(NCSR))*UNITA
      FAV=DFLOAT(IFQ(NCSR))*UNITA
      ELNG=0.
C
      WRITE(IF5,2001) ISRE,IP,IDM1,IDM2,AREA,PLNG,PSLP,
*          PRGH,FAV,ELNG
C
C 160      CONTINUE
C 170      CONTINUE
C
C
C.....
C
C      NULL RILL SUBRILLSHED
C
C.....
C
      IP=0
      NEL=0
      ISRE=0
      IDR=NR

```



```

      IDSR=1
C
      CLNG=0.
      CSLP=0.
      FCAR=0.
      ELNG=0.
C
      WRITE(IF5,2004) IDR, IDSR
      WRITE(IF5,2002) IDR, IDSR, NEL, CLNG, CSLP, FCAR
      WRITE(IF5,2005) (NSLVC(IDR, IDSR, ID), ID-1, 5)
C
C      READ IN CELL DATA COORDINANTS FOR NULL RILL SUBRILLSHED
C
      NCSA=NCSAA(IDR,1)
      KONE=KNCAA(IDR,1)
      KEND=KONE+NCSA-1
C
      NAC=0
C
      DO 180 K=KONE, KEND
        NAC=NAC+1
        READ(IF3,REC=K) IXA(NAC), IYA(NAC)
        IXXA(NAC)=IXA(NAC)
        IYYA(NAC)=IYA(NAC)
180    CONTINUE
C
      IYMIN=1
      NEC=0
C
      DO 200 K1=1, MX
        IXMAX=IYMIN
C
        DO 190 K2=1, NCSA
          IF(IXA(K2).NE.K1)GO TO 190
          IF(IYA(K2).GT.IXMAX) IXMAX=IYA(K2)
190    CONTINUE
C
          IF(IXMAX.GT.IYMIN) THEN
            NEC=NEC+1
            IYCA(NEC)=K1
            IXCA(NEC)=IYMIN
            IXMA(NEC)=IXMAX
          ENDIF
C
200    CONTINUE
C
C      GENERATE CHARACTERISTICS OF RILLSHED
C
      IP=0
      IFLG=2
      CALL SPLANE(NAC, NEC, IFLG, IP)
C

```

```

        IDM1=0
        IDM2=0
        AREA=DFLOAT(NCSA)*UNITA
        FAV=DFLOAT(NCSA)*UNITA
C
        WRITE(IF5,2001) ISRE, IP, IDM1, IDM2, AREA, PLNG, PSLP,
*           PRGH, FAV, ELNG
C
        CLOSE (IF1)
        CLOSE (IF2)
        CLOSE (IF3)
        CLOSE (IF5)
C
        END
C.....
C
C      THIS SUBROUTINE DETERMINES THE LENGTH, SLOPE,
C      CUMMULATIVE FLOW AREA FOR AN ENTIRE SUBRILL
C.....
C
C      SUBROUTINE SUBRC(NCSR, IC1, IC2)
C
C      IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
C
C      COMMON/CDATA/CLNG, CSLP, FCAR, UNITA, UNITL
C      COMMON/FILES/IF1, IF2, IF3, IF4, IF5, IF6
C      COMMON/ICCELL/IXC(32000), IYC(32000), IFQ(32000), IFQQ(32000)
C      COMMON/MXMY/ MX, MY
C      COMMON/ELEV/ X(32000), Y(32000), Z(32000), NELEV(181, 871)
C
C      DETERMINE SUBRILL LENGTH
C
C      CLNG=DFLOAT(NCSR)*UNITL
C
C      DETERMINE SUBRILL SLOPE      EQ:  $Z = M * Y + B$ 
C
C      SUMY=0.
C      SUMZ=0.
C      SUMYZ=0.
C      SUMYY=0.
C      SUMZZ=0.
C
C      DO 10 I=1, NCSR
C          LX=IXC(I)
C          LY=IYC(I)
C          Y1=DFLOAT(LY)*UNITL
C          Z1=DFLOAT(NELEV(LX, LY))/1000.
C
C          SUMY=SUMY+Y1
C          SUMZ=SUMZ+Z1
C          SUMYZ=SUMYZ+Y1*Z1

```

```

SUMYY=SUMYY+Y1*Y1
SUMZZ=SUMZZ+Z1*Z1
10 CONTINUE
C
CSR=DFLOAT(NCSR)
YBAR=SUMY/CSR
ZBAR=SUMZ/CSR
SYY=SUMYY-CSR*YBAR*YBAR
SYZ=SUMYZ-CSR*YBAR*ZBAR
C
CSLP=DABS(SYZ/SYY)
C
C DETERMINE CUMMULATIVE FLOW AREA
C
II=2
IF(IC1.EQ.IC2) II=1
FCAR=DFLOAT(IFQ(II))*UNITA
C
RETURN
END
C
C
C .....
C THIS SUBROUTINE DETERMINES THE CHARACTERSITICS OF THE EACH
C ELEMENT SUB PLANE
C
C DETERMINED PARAMETERS INCLUDE: PLANE AREA, LENGTH, SLOPE AND
C INITIAL RANDOM ROUGHNESS
C .....
C
SUBROUTINE SPLANE(NNN,NCC,IFLG,IP)
IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
COMMON/CDATA/CLNG,CSLP,FCAR,UNITA,UNITL
COMMON/FILES/IF1,IF2,IF3,IF4,IF5,IF6
COMMON/IDELL1/IXXA(32000),IYYA(32000)
COMMON/IDELL2/IXMA(32000),IXCA(32000),IYCA(32000)
COMMON/PDATA/IXM,IYM,IXN,IYN,AREA,PLNG,PSLP,PRGH
COMMON/MXMY/ MX,MY
COMMON/ELEV/ X(32000),Y(32000),Z(32000),NELEV(181,871)
C
C FIND ELEVATIONS
C
C WRITE(*,*) 'NCC-',NCC,' NNN-',NNN,IFLG,IP
DO 10 I=1,NNN
LX=IXXA(I)
LY=IYYA(I)
X(I)=DFLOAT(LX)*UNITL
Y(I)=DFLOAT(LY)*UNITL
Z(I)=DFLOAT(NELEV(LX,LY))/1000.

```

```

10 CONTINUE
C
C   DETERMINE LENGHT OF ELEMENT
C
   NT=0
   DO 20 I=1,NCC
20  NT=NT+ABS(IXCA(I)-IXMA(I))
   IF(NCC.GT.0) THEN
       PLNG=DFLOAT(NT)*UNITL/DFLOAT(NCC)
   ELSE
       PLNG=UNITL
   ENDIF
C
C   GENERATE SUB PLANE RANDOM ROUGHNESS
C
   CALL ROUGH (NNN,PRGH,PSLP)
C
   RETURN
   END
C
SUBROUTINE ROUGH (NP,RR,PSLP)
C
C   .....
C   .
C   .   THIS SUBROUTINE FINDS THE BEST FIT PLANE FOR   .
C   .   THE SUBPLANE AND CALCULATES THE STANDARD   .
C   .   DEVIATION OF THE POINTS FROM THE PLANE WHICH   .
C   .   WILL BE ASSUMED EQUAL TO THE INITIAL RANDOM   .
C   .   ROUGHNESS OF THE SUBPLANE.   .
C   .
C   .....
C
   IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
C
COMMON/FILES/IF1,IF2,IF3,IF4,IF5,IF6
COMMON/IDELL1/IXXA(32000),IYYA(32000)
COMMON/IDELL2/IXMA(32000),IXCA(32000),IYCA(32000)
COMMON/MXMY/ MX,MY
COMMON/ELEV/ X(32000),Y(32000),Z(32000),NELEV(181,871)
C
C   INITIALIZE VARIABLES.
C
   SUMX=0.
   SUMY=0.
   SUMZ=0.
   SUMXSQ=0.
   SUMYSQ=0.
   SUMXY=0.
   SUMXZ=0.
   SUMYZ=0.
C
   IF(NP.LE.3)GO TO 40
C
C   CALCULATE SUMS NEEDED TO FIND BEST FIT PLANE.

```

```

C
DO 20 L=1,NP
  X1=X(L)
  Y1=Y(L)
  Z1=Z(L)
  SUMX=SUMX + X1
  SUMY=SUMY + Y1
  SUMZ=SUMZ + Z1
  SUMXSQ=SUMXSQ + X1*X1
  SUMYSQ=SUMYSQ + Y1*Y1
  SUMKY=SUMKY + X1*Y1
  SUMXZ=SUMXZ + X1*Z1
  SUMYZ=SUMYZ + Y1*Z1
20 CONTINUE
C
C EQUATION FOR PLANE IS:
C Z = B0 + B1*X + B2*Y
C
C1=SUMZ
C2=SUMXZ
C3=SUMYZ
A12=SUMX
A22=SUMXSQ
A32=SUMXY
A11=NP
A21=SUMX
A31=SUMY
A13=SUMY
A23=SUMXY
A33=SUMYSQ
C
DET= A11*((A22*A33) - (A23*A32))
1 - A12*((A21*A33) - (A23*A31))
2 + A13*((A21*A32) - (A22*A31))
C
D1 = C1*((A22*A33) - (A23*A32))
1 - A12*((C2*A33) - (A23* C3))
2 + A13*((C2*A32) - (A22* C3))
C
D2 = A11*((C2*A33) - (A23* C3))
1 - C1*((A21*A33) - (A23*A31))
2 + A13*((A21* C3) - (C2*A31))
C
D3 = A11*((A22* C3) - (C2*A32))
1 - A12*((A21* C3) - (C2*A31))
2 + C1*((A21*A32) - (A22*A31))
C
IF(DET.NE.0)GO TO 25
WRITE(*,101)
101 FORMAT(' DETERMINATE EQUAL ZERO, DEFAULT ROUGHNESS USED')
RR=10.
RETURN
C

```

```
25      B0 = D1/DET
        B1 = D2/DET
        B2 = D3/DET
C
C      DEFINE SLOPE
C
C      PSLP=DSQRT(B1**2+B2**2)
C
C      CALCULATE STANDARD DEVIATION OF POINTS ABOUT PLANE.
C      NOTE: THIS IS DEFINED AS THE INITIAL RANDOM ROUGHNESS IN MM.
C
C      SR=0
        DO 30 L=1,NP
            PRED= B0 + B1*X(L) + B2*Y(L)
            OBS =Z(L)
            SR=SR + ((PRED-OBS)**2)
30      CONTINUE
C
C      RR=SQRT(SR/DFLOAT(NP-3))*1000.
        RETURN
C
C      WRITE(*,102) NP
102     FORMAT(' INSUFFICIENT DATA POINTS, DEFAULT ROUGHNESS USED',I5)
        RR=10.
C
C      RETURN
        END
```

**APPENDIX D**

**COMPUTER LISTING OF HYMODRIN**

## PROGRAM HYMODRIN

BY

LINDELL E. ORMSBEE

AND

GEORGE E. BLANDFORD

LATEST REVISION SEPT 26 1990

## PROGRAM MAIN

IMPLICIT REAL\*8(A-H,O-Z), INTEGER\*4(I-N)

```

COMMON/CDATA/CLGH, CSLP, CWTH, FCAR, RMANN, TRACF, YIN
COMMON/PDATA/AREA, PLNG, PRGH, PSLP, CLAY, SAND
COMMON/DFILES/IF1, IF2
COMMON/EQN/A(25, 12), RHS(11, 12), JD(11, 12)
COMMON/FILES/IIN1, INN2, IOUT
COMMON/FLOWD/QL(11, 1000)
COMMON/FLOWA/QO(1000)
COMMON/FLOWB/QU(5, 1000)
COMMON/FLWMAT/AFM(3, 3, 2), QFV(3, 2), VFM(3, 3, 2)
COMMON/ICHDAT/IDWIT(12), NLF(12), NEL(12), NH(12), NNP(12), NSLVC(5, 12)
COMMON/IDATA/IEL, ISC, NEND, NEQ, NTMC, NUMEL, NUMNP, NUMSC
COMMON/IELMNT/LD(3, 10, 12), NCON(3, 10, 12), NELTP(10, 12)
COMMON/ITDAT/ANORM, BCT, DWT, MBCIT, MDWIT, NBCS, NCSC
COMMON/LFILES/IFL(12)
COMMON/NDATA/NSRA(20)
COMMON/FLOW/AFLW(12), DFLW(12), QFLW(12), QH(10)
COMMON/RAIND/AKE(2000), HY(60), RE(2000), RN(2000), RAV
COMMON/RCHDAT/CHR(12), CHS(12), CHW(12), CHZ(12), DSQ(12), WS(12)
COMMON/RDATA/ONE, R23, R35, R53, ZERO
COMMON/RELMNT/ELN(10, 12), QLT1(10, 12), QLT2(10, 12)
COMMON/RLOG/AFAC, BACK
COMMON/RNODE/AT1(25, 12), AT2(25, 12), FDT(25, 12), FRT(25, 12),
1 SF(25, 12), XND(25, 12)
COMMON/TIME/DT, RTH, RTH1, RTT, DELTA, IFDC, ITS, NFDC, NRAIN, NTS

```

LOGICAL AFAC, BACK

CHARACTER\*14 IINC, IIND, IOT1

CHARACTER\*72 ITLE(2)

```

INITIALIZING THE SOLUTION LOGICAL VARIABLES FOR
MATRIX FACTORIZATION.

```

AFAC = .TRUE.



```

BACK - .FALSE.
C
1001 FORMAT(3I10,5F10.2)
1002 FORMAT(6I5)
1003 FORMAT(4I5,6F10.0)
1004 FORMAT(2I5)
C
C   INITIALIZING THE PROGRAM CONSTANTS.
C
IFDC - 0
ONE - 1.D0
R23 - 2.D0/3.
R35 - 3.D0/5.
R53 - 5.D0/3.
ZERO - 0.D0
NIMC - 0
C
C   INPUTTING THE INPUT CONTROL FILE NAME.
C
WRITE(*,'(A)') '   ENTER THE INPUT CONTROL FILE NAME: A14 - '
READ(*,'(A)') IINC
C
C   INPUTTING THE INPUT DATA FILE NAME
C
WRITE(*,'(A)') '   ENTER THE INPUT DATA FILE NAME: A14 - '
READ(*,'(A)') IIND
C
C   INPUTTING THE OUTPUT DATA FILE NAME.
C
WRITE(*,'(A)') '   ENTER THE OUTPUT DATA FILE NAME: A14 - '
READ(*,'(A)') IOT1
C
C   OPEN SCRATCH FILES
C
IF1 - 1
IF2 - 2
C
OPEN(IF1,STATUS='SCRATCH',FORM='UNFORMATTED')
OPEN(IF2,STATUS='SCRATCH',FORM='UNFORMATTED')
C
C   DATA DISK FILE DEFINITIONS.
C
IIN1 - 3
IIN2 - 4
IOUT - 5
C
OPEN(IIN1,FILE=IINC)
OPEN(IIN2,FILE=IIND)
OPEN(IOUT,FILE=IOT1)
C
C   OPEN DEBUG FILE
C
OPEN(6,STATUS='OLD',FORM='FORMATTED',FILE='DATA6')

```

```

C
C OPENING THE CHANNEL LATERAL INFLOW SCRATCH DISK FILES.
C
DO 10 ISC=1,3
  IFL(ISC) = ISC + 6
  OPEN(IFL(ISC),STATUS='SCRATCH',FORM='UNFORMATTED')
C   OPEN(IFL(ISC),STATUS='SCRATCH',ACCESS='DIRECT',RECL=80)
10 CONTINUE
C
C C
.....
C
C   READ IN SYSTEM DATA
C
C
C .....
C
CALL SDATA
C
C .....
C
C   BEGIN PROGRAM LOOP
C
C .....
C
READ(IIN2,1004)NR,IFLAG
C
DO 50 IDR=1,NR-1
C
READ(IIN2,1004)IDUM,NUMSC
C
  NTMC=0
C
  DO 40 ISC=1,NUMSC
C
C .....
C
C   BEGIN PROGRAM LOOP
C
C   NR      - NUMBER OF RILLS
C   IFLAG - (IFLAG = 0) - CUMMULATIVE FLOW AREA USED FOR
C                   DETERMINING SUBCHANNEL WIDTH
C                   (IFLAG = 1) - PEAK DISCHARGE (cfs) USED FOR
C                   DETERMINING SUBCHANNEL WIDTH
C
C   IDR     - INDEX FOR RILL
C   ISC     - INDEX FOR SUBCHANNEL
C   NUMSC   - NUMBER OF SUBCHANNELS PER RILL   IDR
C   NELM    - NUMBER OF ELEMENTS FOR SUBCHANNEL ISC
C   CLGH    - SUBCHANNEL LENGTH (m)
C   CSLP    - SUBCHANNEL SLOPE (m/m)
C   FCAR    - CUMMULATIVE FLOW AREA (m**2)
C   CWTH    - CHANNEL WIDTH (m)
C   QIN     - BASEFLOW (cfs)
C

```

```

C      .   NSLVC - FIRST VALUE IS THE NUMBER OF MASTER CHANNELS FOR   .
C      .   CHANNEL ISC                                               .
C      .   SECOND THROUGH FIFTH ARE THE MASTER CHANNEL NUMBERS     .
C      .   ( MAXIMUM OF FOUR )                                       .
C      .   .....
C      .
C      .   READ(IIN2,1001)IDUM1, IDUM2, NELM, CLGH, CSLP, FCAR, CWTH, QIN
C      .   READ(IIN2,1002)(NSLVC(I, ISC), I-1, 5)
C      .   .....
C      .
C      .   CONVERT VARIABLES TO ENGLISH UNITS
C      .   1 METER = 3.281 FEET
C      .   .....
C      .
C      .   EM = 3.281
C      .
C      .   YIN = ZERO
C      .   CLGH = CLGH*EM
C      .   CWTH = CWTH*EM
C      .   .....
C      .
C      .   CALCULATE SUBRILL WIDTH
C      .   .....
C      .
C      .   QMAX=FCAR
C      .   IF(IFLAG.GE.0)QMAX=RAV*FCAR*EM*EM
C      .   IF(CWTH.LE.0)CALL CWIDTH(QMAX, CWTH)
C      .   .....
C      .
C      .   SET CHANNEL PARAMETERS
C      .
C      .   CHR   - THE CHANNEL ROUGHNESS COEFFICIENT
C      .   CHS   - THE CHANNEL SLOPE
C      .   CHW   - THE CHANNEL BASE WIDTH
C      .   CHZ   - THE CHANNEL SIDE SLOPE
C      .   QFLW  - THE INITIAL CHANNEL FLOW (ASSUMED CONSTANT)
C      .   .....
C      .
C      .   CHR(ISC) = RMANN
C      .   CHS(ISC) = CSLP
C      .   CHW(ISC) = CWTH
C      .   CHZ(ISC) = 0.0
C      .   QFLW(ISC) = QIN
C      .   .....
C      .
C      .   CALCULATING THE SUBRILL CONSTANTS.

```

```

C .
C . NEQ   - NUMBER OF EQUATIONS
C . NEL   - NUMBER OF CHANNEL FINITE ELEMENTS
C . NUMEL - NUMBER OF CHANNEL FINITE ELEMENTS
C . NNP   - NUMBER OF CHANNEL NODE POINTS
C . NUMNP - NUMBER OF CHANNEL NODE POINTS
C .....
C
C     NEL(ISC) = NELM
C     NNP(ISC) = NELM+1
C
C     NUMEL = NEL(ISC)
C     NUMNP = NNP(ISC)
C     NEQ   = NUMNP - 1
C
C .....
C
C     SET ELEMENT NODE CONNECTIVITY
C .....
C
C     DO 16 IEL = 1,10
C       NCON(1,IEL,ISC)=IEL
C       NCON(2,IEL,ISC)=IEL+1
16 CONTINUE
C
C     SET HYDROGRAPH FLAGS
C .....
C
C     NH     - CHANNEL HYDROGRAPH NUMBER
C             - 0; NO UPSTREAM HYDROGRAPH
C             - 1; MASTER CHANNEL WITH UPSTREAM HYDROGRAPH
C     NLF    - CHANNEL LATERAL INFLOW NUMBER
C             - 0; NO LATERAL INFLOW
C             - 1; CHANNEL SUBJECTED TO LATERAL INFLOW
C     NTMC   - NUMBER OF TOTAL MASTER CHANNELS
C .....
C
C     IF (NSLVC(1,ISC) .LE. 0) NH(ISC) = 1
C     IF (NSLVC(1,ISC) .GE. 0) NLF(ISC) = 1
C     IF (NSLVC(1,ISC) .LE. 0) NTMC = NTMC + 1
C
C .....
C
C     LOOP OVER SUBRILLS
C .....
C
C     NEL2 = NUMEL*2
C
C     DO 20 I=1,NEL2
C

```

```

C .....
C .
C READ IN PLANE DATA
C .
C IEN - ELEMENT NUMBER
C .
C IP - SUBPLANE INDEX (1-RIGHT, 2-LEFT, 0-UPPER
C .
C IX - IP = 1; X COORDINATE OF UPPER ELEMENT BOUNDARY
C .
C IX - IP = 2; X COORDINATE OF LOWER ELEMENT BOUNDARY
C .
C IY - IP = 1; Y COORDINATE OF UPPER ELEMENT BOUNDARY
C .
C IY - IP = 2; Y COORDINATE OF LOWER ELEMENT BOUNDARY
C .
C AREA - SUBELEMENT AREA (m**2)
C .
C PLGN - SUBELEMENT LENGTH (m)
C .
C PSLP - SUBELEMENT SLOPE (m/m)
C .
C PRGH - SUBELEMENT ROUGHNESS (mm)
C .
C FAVL - CUMMULATIVE FLOW AREA (m**2)
C .
C ELNG - ELEMENT LENGTH (m)
C .....
C
C READ(IIN2,1003) IEN,IP,IX,IY,AREA,PLNG,PSLP,PRGH,FAVL,ELNG
C .....
C
C REVERSE ELEMENT INDEX TO MAKE HYMODRIN COMPATABLE WITH GHIM
C .....
C
C IEL = NELM - IEN + 1
C .....
C
C STORE ELEMENT LENGTH
C .....
C
C ELN(IEL,ISC) = ELNG
C .....
C
C SET ELEMENT TYPE NELTP(IEL,ISC)= 1 (LINEAR)
C .....
C
C NELTP(IEL,ISC) = 1
C .....
C
C GENERATE OVERLAND FLOW HYDROGRAPH FOR ELEMENT I
C .....
C
C CALL RUNOFF
C
C DO 15 J=1,NTS
C

```

```

      IF(IP.EQ.1)QL(IEL,J) = QO(J)
      IF(IP.GE.2)QL(IEL,J) = QL(IEL,J)+QO(J)

```

C  
15

```

      CONTINUE

```

C  
C  
C  
C  
C  
C  
C  
C

```

      .....
      .
      SET INTIAL LATERAL INFLOW VALUES
      .
      .....

```

```

      IF(IP.GE.2)QLT1(IEL,ISC) = QL(IEL,1)

```

C  
20

```

      CONTINUE

```

C  
C  
C  
C  
C  
C  
C  
C

```

      .....
      .
      WRITE LATERAL HYDROGRAPHS TO SCRATCH FILES
      .
      .....

```

```

      DO 30 ITS=1,NTS

```

C

```

        WRITE(IFL(ISC),REC=ITS) (QL(IEL,ITS),IEL-1,NUMEL)

```

```

        WRITE(IFL(ISC))          (QL(IEL,ITS),IEL-1,NUMEL)

```

30

```

      CONTINUE

```

C  
C  
C  
C  
C  
C  
C  
C

```

      .....
      .
      DETERMINE ELEMENT CHARACTERISTICS
      .
      .....

```

```

      CALL PROFIL

```

C

```

      CALL ELEQN

```

C

```

      CALL MATRIX

```

C  
C  
C  
C  
C  
C  
C  
C

```

      .....
      .
      EVALUATE UPSTREAM HYDROGRAPHS
      .
      .....

```

```

      IF (NSLVC(1,ISC) .GT. 0) GO TO 40

```

C

```

      READ(IIN2,1003)IEL,IP,IX,IY,AREA,PLNG,PSLP,PRGH,FAVL,ELNG

```

C

```

      CALL RUNOFF

```

C

```

      DO 35 J=1,NTS

```

C

```

        QU(NTMC,J) = QO(J)

```

```

C
35      CONTINUE
C
40      CONTINUE
C
C      .....
C      .
C      .   OUTPUT CHANNEL CONSTANTS   .
C      .
C      .....
C
CALL COUT
C
C      .....
C      .
C      .   WRITE UPSTREAM HYDROGRAPHS TO SCRATCH FILES   .
C      .
C      .....
C
      DO 45 ITS=1,NTS
      WRITE(IF1)      (QU(ITMC,ITS),ITMC-1,NTMC)
45      CONTINUE
C
C      .....
C      .
C      .   ROUTE RILL FLOWS   .
C      .
C      .....
C
REWIND IF1
C
      DO 60 ISC=1,3
      IF3 = IFL(ISC)
      REWIND IF3
60      CONTINUE
C
CALL CROUTE
C
50      CONTINUE
C
C      .....
C      .
C      .   GENERATE NULLRILLSHED HYDROGRAPH   .
C      .
C      .....
C
      READ(IIN2,1004)IDUM,NUMSC
      READ(IIN2,1001)IDUM1, IDUM2,NELM,CLGH,CSLP,FCAR,CWTH,QIN
      READ(IIN2,1002)(NSLVC(I,ISC),I=1,5)
C
      READ(IIN2,1003)IEL,IP,IX,IY,AREA,PLNG,PSLP,PRGH,FAVL,ELNG
C
CALL RUNOFF

```

```

C
  END
  BLOCK DATA
C.....
C.
C.      CHANNEL NETWORK FLOW MATRICES INITIALIZATION ROUTINE      .
C.
C.....
C.
C.      THE PURPOSE OF THIS BLOCK DATA SUBPROGRAM IS TO INITIALIZE .
C.      THE CHANNEL NETWORK FLOW DATA MATRICES.                  .
C.
C.....
C
  IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
  COMMON/FLWMAT/AFM(18),QFV(6),VFM(18)
C
C      INITIALIZING THE LINEAR, QUADRATIC AND CUBIC LAGRANGIAN
C      ELEMENT AREA FLOW AND VOLUME FLOW MATRICES; AND THE
C      THE LATERAL INFLOW VECTOR.
C
  DATA AFM/ 0.333333333333333, 0.166666666666667,0.D0,
1          0.166666666666667, 0.333333333333333,4*0.D0,
2          0.133333333333333, 0.066666666666667,-0.033333333333333,
2          0.066666666666667, 0.500000000000000, 0.066666666666667,
2          -0.033333333333333, 0.066666666666667, 0.133333333333333/
C
  DATA VFM/-0.50D0,-0.50D0,0.D0,0.50D0,0.50D0,4*0.D0,
2          -0.500000000000000,-0.666666666666667, 0.160066666666667,
2          0.666666666666667, 0.000000000000000,-0.666666666666667,
2          -0.166666666666667, 0.666666666666667, 0.500000000000000/
C
  DATA QFV/ 0.5D0,0.5D0,0.D0,
2          0.166666666666667, 0.666666666666667, 0.166666666666667/
C
  END
  SUBROUTINE SDATA
C.....
C.
C.      THIS SUBROUTINE READS IN ALL CONTROL DATA AND INITIALIZES .
C.      THE RAINFALL EXCESS VECTORS                                .
C.
C.....
C
  IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
C
  COMMON/CDATA/CLGH,CSLP,CWTH,FCAR,RMANN,TRACF,YIN
  COMMON/RDATA/ONE,R23,R35,R53,ZERO
  COMMON/FILES/IIN1,INN2,IOUT
  COMMON/FDATA/SAV1,SAV2,SKFS1,SKFS2,SLI,SMCI,POR1,POR2
  COMMON/TIME/DT,RTH,RTH1,RTT,DELTA,IFDC,ITS,NFDC,NRAIN,NTS

```



COMMON/PDATA/AREA, PLNG, PRGH, PSLP, CLAY, SAND  
COMMON/RAIND/AKE(2000), HY(60), RE(2000), RN(2000), RAV  
COMMON/ITDAT/ANORM, BCT, DWT, MBCIT, MDWIT, NBCS, NCSC

C

CHARACTER\*72 ITLE(2)

C

- 1001 FORMAT(A72)
- 1002 FORMAT(16I5)
- 1003 FORMAT(8F10.1)
- 1004 FORMAT(I10, F10.1)
- 1005 FORMAT(6F10.2)
- 1006 FORMAT(6F10.2)
- 1007 FORMAT(4F10.2)

C

- 2001 FORMAT(//4X, 1H+, 74(1H-), 1H+/4X, 2H+ ,A72, 2H +/4X, 2H+ ,A72, 2H +  
1/4X, 1H+, 74(1H-), 1H+)
- 2002 FORMAT(4X, 1H+, 74X, 1H+  
1/4X, 1H+, 5X, 28HTHE NUMBER OF RILL NETWORKS ,36(1H.), I4, 5X, 1H+  
2/4X, 1H+, 5X, 25HTHE NUMBER OF TIME STEPS ,35(1H.), I4, 5X, 1H+  
3/4X, 1H+, 5X, 33HTHE FLOW DEPTH PROFILE TIME STEP ,27(1H.), I4, 5X, 1H+  
4/4X, 1H+, 5X, 40HTHE NUMBER OF DIFFUSION WAVE ITERATIONS ,20(1H.),  
4 I4, 5X, 1H+  
5/4X, 1H+, 5X, 44HTHE NUMBER OF BOUNDARY CONDITION ITERATIONS ,  
5 16(1H.), I4, 5X, 1H+/4X, 1H+, 74X, 1H+)
- 2003 FORMAT(4X, 1H+, 5X, 19HTHE TIME INCREMENT ,35(1H.), 1PD10.3, 5X, 1H+  
1/4X, 1H+, 5X, 31HTHE TIME WEIGHTING COEFFICIENT ,23(1H.),  
1 1PD10.3, 5X, 1H+  
2/4X, 1H+, 5X, 41HTHE DIFFUSION WAVE CONVERGENCE TOLERANCE ,13(1H.),  
2 1PD10.3, 5X, 1H+  
3/4X, 1H+, 5X, 45HTHE BOUNDARY CONDITION CONVERGENCE TOLERANCE ,  
3 9(1H.), 1PD10.3, 5X, 1H+/4X, 1H+, 74X, 1H+/4X, 1H+, 74(1H-), 1H+)

C

C  
C  
C  
C  
C  
C  
C

.....  
.  
READ TITLE INFORMATION  
.  
.....

READ(IINI,1001) ITLE

C

C  
C  
C  
C  
C  
C  
C  
C  
C  
C  
C  
C  
C  
C  
C  
C  
C  
C  
C  
C  
C  
C

.....  
.  
READ PLOT DATA  
.

- NR - NUMBER OF RILLS
- NTS - NUMBER OF TIME STEPS
- IR - OPTION FOR RILL WIDTHS
- 0 - FCAR - CUMMLUATIVE FLOW AREA
- 1 - FCAR - PEAK DISCHARGE
- DT - TIME STEP IN SECONDS
- TRACF - CRITICAL TRACTIVE FORCE OF SOIL
- RMANN - MANNINGS ROUGHNESS COEFFICIENT

```

C.
C.   NFDC - TIME STEP FLOW DEPTH PROFILE OUTPUT NUMBER
C.       - 0 --> OUTFLOW HYDROGRAPH ONLY
C.       - 1 --> FLOW DEPTH PROFILE FOR EVERY I TIME STEP
C.           OUTPUTTED
C.   MDWIT - THE MAXIMUM NUMBER OF DIFFUSION WAVE ITERATIONS
C.           (GENERALLY INPUT 10 < MDWIT < 50; DEFAULT = 20)
C.   MBCIT - THE MAXIMUM NUMBER OF DOWNSTREAM BOUNDARY CONDITION
C.           ITERATIONS
C.           (GENERALLY INPUT 4 < MBCIT < 10; DEFAULT = 6)
C.
C.   RTH - THE TIME WEIGHTING COEFFICIENT BETWEEN 0.50 AND 1.00
C.         ( 0.50 <= RTH <= 1.00; DEFAULT 0.5000 )
C.   DWT - RELATIVE DIFFUSION WAVE TOLERANCE
C.         ( GENERALLY INPUT 1.D-8 < TOL < 1.D-6 )
C.         ( DEFAULT = 1.D-8 )
C.   BCT - RELATIVE BOUNDARY CONDITION TOLERANCE
C.         ( GENERALLY INPUT 1.D-8 < TOL < 1.D-6 )
C.         ( DEFAULT = 1.D-8 )
C.
C. ....
C
C   READ(IIN1,1002) NR,IR,NTS,NFDC,MDWIT,MBCIT
C   READ(IIN1,1005) RTH,DWT,BCT,DT,TRACF,RMANN
C
C   CHECK INPUT DATA AND GENERATE TIME INTERPOLATION CONSTANTS.
C
C   IF (MDWIT .LT. 10 .OR. MDWIT .GT. 50) MDWIT = 20
C   IF (MBCIT .LT. 4 .OR. MBCIT .GT. 10) MBCIT = 6
C   IF (RTH .LT. 0.500 .OR. RTH .GT. ONE) RTH = 0.500
C   IF (DWT .LT. 1.D-10 .OR. DWT .GT. 1.D-6) DWT = 1.D-8
C   IF (BCT .LT. 1.D-10 .OR. BCT .GT. 1.D-6) BCT = 1.D-8
C
C   RTH1 = ONE - RTH
C   RTT = RTH*DT
C
C   WRITE(IOUT,2001) ITLE
C   WRITE(IOUT,2002) NR,NTS,NFDC,MDWIT,MBCIT
C   WRITE(IOUT,2003) DT,RTH,DWT,BCT
C
C
C   .....
C
C   READ RAINFALL DATA
C
C   .....
C
C   READ(IIN1,1004)NRAIN,DELTA
C   READ(IIN1,1003)(HY(I),I-1,NRAIN)
C
C
C   .....
C
C   DISAGGREGATE RAINFALL DATA
C

```

```

C .....
C
C CALL DRAIN
C
C .....
C
C . GENERATE CUMMULATIVE KINETIC ENERGY ARRAY .
C .
C .....
C
C CALL KINETIC
C
C .....
C
C . READ IN RAINFALL EXCESS DATA .
C .
C .....
C
C SAV1 - AVERAGE CAPILLARY SUCTION PRESSURES FOR UPPER LAYER (cm)
C SAV2 - AVERAGE CAPILLARY SUCTION PRESSURES FOR UPPER LAYER (cm)
C SKFS1 - THE HYDRAULIC CONDUCTIVITIES FOR THE UPPER LAYER (cm/hr)
C SKFS2 - THE HYDRAULIC CONDUCTIVITIES FOR THE UPPER LAYER (cm/hr)
C SLI - THE DEPTH OF THE UPPER LAYER (cm)
C POR1 - EFFECTIVE POROSITIES FOR UPPER LAYER (cm3/cm3),
C POR2 - EFFECTIVE POROSITIES FOR LOWERR LAYER (cm3/cm3),
C SMCI - THE INITIAL SOIL MOISTURE CONTENT (%).
C CLAY - PERCENT CLAY OF SOIL
C SAND - PERCENT SAND OF SOIL
C
C READ(IIN1,1007) SLI,SMCI,CLAY,SAND
C READ(IIN1,1006) SAV1,SAV2,SKFS1,SKFS2,POR1,POR2
C
C RETURN
C END
C SUBROUTINE DRAIN
C
C .....
C
C . RAINFALL DISSAGGREGATION .
C .
C .....
C
C THE PURPOSE OF THIS SUBROUTINE IS TO DISSAGGREGATE THE INPUT
C RAINFALL SERIES INTO A SERIES ASSOCIATED WITH THE SELECTED
C COMPUTATION TIME STEP
C .....
C
C IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
C
C COMMON/RAIND/AKE(2000),HY(60),RE(2000),RN(2000),RAV
C COMMON/TIME/DT,RTH,RTH1,RTT,DELTA,IFDC,ITS,NFDC,NRAIN,NTS
C

```

```

C      RAINFALL DATA IN cm PER DELTA (sec)
C
C      DELTA (sec) - INPUT RAINFALL TIME INCREMENT
C      DT (sec)   - COMPUTATIONAL TIME INCREMENT
C
C      CALCULATE NUMBER OF INCREMENTS TO SUBDIVIDE RAINFALL VOLUME
C      ASSOCIATED WITH EACH INPUT INTERVAL (DELTA)
C
C          INC = DELTA/DT
C
C      CALCULATE THE HYETOGRAPH AT TIME T + DT.
C
C          ICT = 0
C          DO 20 I=1,NRAIN
C              DO 10 J=1,INC
C                  ICT = ICT + 1
C                  RN(ICT) = HY(I)*DT/DELTA
10          CONTINUE
20          CONTINUE
C
C      CHECK ON TIME LIMIT OF INPUT HYETOGRAPHS.
C
C          IF (ICT .GE. NTS) GO TO 40
C
C      SET REMAINDER OF THE HYETOGRAPH TO ZERO.
C
C          DO 30 ITS=ICT,NTS
C              RN(ITS) = ZERO
30          CONTINUE
40          CONTINUE
C
C      DETERMINE AVERAGE RAINFALL INTENSITY (RAV)
C
C          DO 50 ITS = 1,ICT
C              SR = SR + RN(ITS)
50          CONTINUE
C          RAV = SR/ICT
C      RETURN
C      END
C      SUBROUTINE KINETIC
C.....
C
C          KINETIC ENERGY ROUTINE
C.....
C
C      THE PURPOSE OF THIS SUBROUTINE IS TO CALCULATE THE CUMMULATIVE
C      KINETIC ENERGY ASSOCIATED WITH A PARTICULAR RAINFALL SERIES
C.....
C
C      IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
C
C      COMMON/RAIND/AKE(2000),HY(60),RE(2000),RN(2000),RAV

```

```

COMMON/RDATA/ONE,R23,R35,R53,ZERO
COMMON/TIME/DT,RTH,RTH1,RTT,DELTA,IFDC,ITS,NFDC,NRAIN,NTS
C
SUMEK = ZERO
C
DO 10 I=1,NTS
C
DETERMINE RAINFALL INTENSITY mm/hr.
C
RAINC=3600.0*RN(I)*2.54/DT
C
CALCULATE EK, THE RAINFALL KINETIC ENERGY APPLIED DURING
C ONE TIME STEP (joules/sqcm per cm of rain).
C
EK = .0001*(11.9 + (8.73*DLOG(RAINC)))*RN(I)
C
SUMEK = SUMEK + EK
C
AKE(I)=SUMEK
C
10 CONTINUE
RETURN
END
SUBROUTINE RUNOFF
C.....
C.
C.          RUNOFF          ROUTINE
C.
C.....
C.
C. THE PURPOSE OF THIS SUBROUTINE IS TO CALCULATE THE
C. RUNOFF EXCESS AND WATERSHED HYDROGRAPH USING THE GREEN
C. AMPT INFILTRATION MODEL AND THE NONLINEAR RESERVOIR
C. RUNOFF MODEL
C.
C.....
C
IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)

COMMON/FLOWA/QO(1000)
COMMON/CDATA/CLGH,CSLP,CWTH,FCAR,RMANN,TRACF,YIN
COMMON/PDATA/AREA,PLNG,PRGH,PSLP,CLAY,SAND
COMMON/FDATA/SAV1,SAV2,SKFS1,SKFS2,SLI,SMCI,POR1,POR2
COMMON/RDATA/ONE,R23,R35,R53,ZERO
COMMON/RAIND/AKE(2000),HY(60),RE(2000),RN(2000),RAV
COMMON/TIME/DT,RTH,RTH1,RTT,DELTA,IFDC,ITS,NFDC,NRAIN,NTS
COMMON/GRAMP/F(2000)
C
C *****
C * DEFINE INFILTRATION VARIABLES *
C *****
C
SLI - THE DEPTH OF THE UPPER LAYER (cm)

```

C SMCI - THE INITIAL SOIL MOISTURE CONTENT.  
 C SAV1 - AVERAGE CAPILLARY SUCTION PRESSURES FOR UPPER LAYER (cm)  
 C SAV2 - AVERAGE CAPILLARY SUCTION PRESSURES FOR UPPER LAYER (cm)  
 C SKFS1 - THE HYDRAULIC CONDUCTIVITIES FOR THE UPPER LAYER (cm/hr)  
 C SKFS2 - THE HYDRAULIC CONDUCTIVITIES FOR THE UPPER LAYER (cm/hr)  
 C POR1 - EFFECTIVE POROSITIES FOR UPPER LAYER (cm<sup>3</sup>/cm<sup>3</sup>),  
 C POR2 - EFFECTIVE POROSITIES FOR LOWER LAYER (cm<sup>3</sup>/cm<sup>3</sup>),  
 C

FH1 - SLI  
 FC1 - SAV1  
 FC2 - SAV2  
 FK1 - SKFS1  
 FK2 - SKFS2  
 FS1 - POR1-SMCI  
 FS2 - POR2-SMCI  
 SD1 - FC1\*FS1  
 SD2 - FC2\*FS2

C  
 IF1 - ZERO  
 FZ - ZERO  
 DF - ZERO  
 F1 - 0.0001  
 F2 - 0.0001  
 HR - DT/3600  
 FMAX - FH1\*FS1  
 DFMIN - FK1\*HR  
 CMFT - 2.54\*12.0

C  
 SUMR - ZERO  
 SUME - ZERO  
 SUMF - ZERO  
 SUMQ - ZERO  
 DSTR - ZERO

C  
 C \*\*\*\*\*  
 C \* DEFINE RUNOFF VARIABLES \*  
 C \*\*\*\*\*  
 C

D1 - ZERO  
 DD - ZERO  
 DS - ZERO  
 CZ - ZERO

C  
 C SET INTIAL DEPRESSION STORAGE  
 C

DS - DSTR  
 DSM - DS/CMFT

C  
 C CONVERT INITIAL RANDOM ROUGHNESS FROM mm TO cm.  
 C

RR0=PRGH/10

C  
 C SELECT ROUGHNESS EQUATION

```

C
C IF(SAND.GT.ZERO.AND.CLAY.GT.ZERO)CALL CHEZY (CZ)
C
C IF(SAND.LE.ZERO)PMANN = RMANN
C
C CHEZY'S EQUATION
C
C COE1 = .750
C ZXP1 = 1.50
C ZXP2 = 0.50
C WCON = -(AREA/PLNG)*CZ*SQRT(PSLP)/AREA
C
C MANNING'S EQUATION
C
C IF(PMANN.GT.ZERO)COE1 = 5.0/6.0
C IF(PMANN.GT.ZERO)ZXP1 = 5.0/3.0
C IF(PMANN.GT.ZERO)ZXP2 = 2.0/3.0
C IF(PMANN.GT.ZERO)WCON = -(AREA/PLNG)*1.49*SQRT(PSLP)/(PMANN*AREA)
C
C *****
C * BEGIN COMPUTATION DO LOOP *
C *****
C
C DO 100 I=1,NTS
C
C *****
C * CALCULATE CURRENT DEPRESSION STORAGE *
C *****
C
C CKE=AKE(I)
C
C IF(RR0.GT.ZERO)CALL STORE (CKE,RR0,RRT,DS)
C
C IF(RR0.GT.ZERO)DSM=DS/CMFT
C
C *****
C * DETERMINE INFILTRATION USING THE GREEN AMPT EQUATION *
C *****
C
C CHECK FOR IMPERVIOUS SURFACE
C
C IF(FH1.GT.ZERO)GO TO 10
C DF = ZERO
C RE(I) = RN(I)
C GO TO 60
C
C DETERMINE INCREMENTAL INFILTRATION
C
C CONTINUE
C
C PP = RN(I) + D1
C ALP1 = (SD1+(D1*FS1))

```

```

C
A  = (((2*F1)-(FK1*HR))*0.5)**2
B  = 2*FK1*HR
DF = (FK1*HR*.5)-F1+(SQRT(A+(B*(ALP1+F1))))
DF = (FK1*HR)+(ALP1*LOG(1+(DF/(ALP1+F1))))
C
IF(DF.LE.DFMIN)DF=DFMIN
C
IF(DF.GT.PP)DF = PP
C
F1 = F1 + DF
IF(F1.GE.FMAX)F1=FMAX
C
IF(F1.GE.FMAX) GO TO 30
C
DDF = PP-DF
C
IF(DDF.GT.DSM)GO TO 20
C
CASE I: D1 + RN(I) - DF < DS
C
D1 = D1 + RN(I) - DF
IF(D1.LE.ZERO)D1 = ZERO
RE(I) = ZERO
QO(I) = ZERO
QQ    = ZERO
GO TO 50
C
CASE II: D1 + RN(I) - DF > DS
C
RE(I)=RN(I)-DF
C
*****
C
* DETERMINE RUNOFF USING NONLINEAR RESERVIOR ALGORITHM *
C
*****
C
QO(I)=ZERO
C
CONVERT RAINFALL EXCESS FROM (cm) TO (ft)
C
DD = RE(I)/CMFT
C
EXPRESS RAINFALL EXCESS IN (ft/sec)
C
E = DD/DT
C
IC=0
DD=E
C
30 IC=IC+1
C
IF(IC.GE.10)GO TO 40
C

```



```

D = (D1/CMFT) - (DS/CMFT)+(DD/2.0)
IF(D.LE.ZERO)D=ZERO
C
AAA = DT*((WCON*(D**ZXP1))+E)
FZ = DD - AAA
BBB = DT*(COE1*WCON*(D**ZXP2))
ZF = 1 - BBB
C
DDD=DD-(FZ/ZF)
DIF=ABS(DDD-DD)
C
DD=DDD
C
IF(DIF.GE.0.001)GO TO 30
C
40 QO(I)=AREA*(E-(DD/DT))
QQ=(E-(DD/DT))*DT*CMFT
IF(QO(I).LE.ZERO)QO(I)=ZERO
D1=D1+(DD*CMFT)
IF(D1.LE.ZERO)D1=ZERO
C
C OUTPUT RUNOFF RESULTS
C
50 CONTINUE
C
RETURN
END
SUBROUTINE STORE(CKE,RR0,RR1,DS)
C
C.....
C.
C. SURFACE STORAGE ROUTINE
C.
C.....
C.
C. THE PURPOSE OF THIS SUBROUTINE IS TO CALCULATE THE SURFACE
C. STORAGE TIME VECTORS FOR THE SUBPLANE.
C.....
C
C IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
C
C COMMON/PDATA/AREA,PLNG,PRGH,PSLP,CLAY,SAND
C
C DIMENSION RRE(6)
C
C DATA RRE(1),RRE(2),RRE(3),RRE(4),RRE(5),RRE(6)/
C X0,.8,1.6,2.4,3.2,4./
C
C LOOP TO CALCULATE AVAILABLE SURFACE STORAGE VOLUME IN TIME.
C
C
C CALCULATE CURRENT RANDOM ROUGHNESS IN (cm)
C (Normal values range from .8 to .4)

```

```

C
C     CKE - CUMMULATIVE KINETIC ENERGY (joules/sqcm)
C           (Normal values range from 0 to .50)
C
C     RRT=RR0*0.9644*EXP(-1.989*CKE)
C
C     IF(RRT.GT.4.0)RRT=4.0
C
C     S=PSLP*100.
C
C     IF(S.GT.20)S=20
C
C     IF(RRT.GT.0.8)GO TO 10
C
C     R1=ZERO
C     R2=0.8
C     S1=ZERO
C     C21 = 1.042E-03
C     C22 = 1.208e-02
C     C23 = 5.E-05
C     C24 = 0.2000
C     S2=C21*S**3. - C22*S*S + C23*S + C24
C     IF(S2.LE.ZERO)S2=ZERO
C     GO TO 50
C
C     IF(RRT.GT.1.6)GO TO 20
C
C     R1=0.8
C     R2=1.6
C     C11 = 1.042E-03
C     C12 = 1.208e-02
C     C13 = 5.E-05
C     C14 = 0.2000
C     S1=C11*S**3. - C12*S*S + C13*S + C14
C     IF(S1.LE.ZERO)S1=ZERO
C     C21 = 8.396E-04
C     C22 = 1.319E-02
C     C23 = 8.018E-03
C     C24 = 0.41
C     S2=C21*S**3. - C22*S*S + C23*S + C24
C     IF(S2.LE.ZERO)S2=ZERO
C     GO TO 50
C
C     IF(RRT.GT.2.4)GO TO 30
C
C     R1=1.6
C     R2=2.4
C     C11 = 8.396E-04
C     C12 = 1.319E-02
C     C13 = 8.018E-03
C     C14 = 0.41
C     S1=C11*S**3. - C12*S*S + C13*S + C14
C     IF(S1.LE.ZERO)S1=ZERO

```

```

C21 = 6.008E-04
C22 = 1.146E-02
C23 = 5.163E-04
C24 = 0.62
S2=C21*S**3. - C22*S*S + C23*S + C24
IF(S2.LE.ZERO)S2=ZERO
GO TO 50

C
30 IF(RRT.GT.3.2)GO TO 40
C
R1=2.4
R2=3.2
C11 = 6.008E-04
C12 = 1.146E-02
C13 = 5.163E-04
C14 = 0.62
S1=C11*S**3. - C12*S*S + C13*S + C14
IF(S1.LE.ZERO)S1=ZERO
C21 = 5.167E-04
C22 = 1.165E-02
C23 = 3.833E-03
C24 = 0.84
S2=C21*S**3. - C22*S*S + C23*S + C24
IF(S2.LE.ZERO)S2=ZERO
GO TO 50

C
40 CONTINUE
C
R1=3.2
R2=4.0
C11 = 5.167E-04
C12 = 1.165E-02
C13 = 3.833E-03
C14 = 0.84
S1=C11*S**3. - C12*S*S + C13*S + C14
IF(S1.LE.ZERO)S1=ZERO
C21 = 3.056E-04
C22 = 8.528E-03
C23 = -3.278E-03
C24 = 1.06
S2=C21*S**3. - C22*S*S + C23*S + C24
IF(S2.LE.ZERO)S2=ZERO

C
50 DS=((RRT-R1)/(R2-R1)*(S2-S1))+S1
C
IF(DS.LE.0.0)DS=0.0

C
RETURN
END
SUBROUTINE CHEZY(CZ)

C
C.....
C.

```

```

C.                CHEZY ROUGHNESS COEFFICIENT
C.
C. ....
C.
C. THE PURPOSE OF THIS SUBROUTINE IS TO CALCULATE THE CHEZY
C. ROUGHNESS COEFFICIENT
C.
C. SOURCE: HYDRAULICS OF OVERLAND FLOW - GILLEY, GINKNER, NEARING
C. AND LANE (WEPP MODEL DOCUMENTATION 1989)
C. ....
C
C IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
C
C COMMON/PDATA/AREA, PLNG, PRGH, PSLP, CLAY, SAND
C
C FO=4.0*(3.42**CLAY)/(12.42**SAND)
C
C CZ=(8*32.2/FO)**.5
C
C RETURN
C END
C SUBROUTINE CWIDTH(QMAX,WEQ)
C
C .....
C.
C.                CHANNEL WIDTH ROUTINE
C.
C. ....
C.
C. THE PURPOSE OF THIS SUBROUTINE IS TO CALCULATE THE CHEZY'S C
C. FRICTION FACTOR FOR OVERLAND FLOW AS IT VARIES WITH TIME.
C. ....
C
C IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
C
C COMMON/CDATA/CLGH, CSLP, CWTH, FCAR, RMANN, TRACF, YIN
C
C GAMMA=9802.0
C
C DETERMINE CONVEYANCE FUNCTION G(x*)
C
C AA=((QMAX*RMANN/(CSLP**.5))**(3.0/8.0))
C BB=GAMMA*CSLP/TRACF
C GXSTAR=AA*BB
C
C IF(GXSTAR.GT.40.0)GXSTAR = 40.0
C IF(GXSTAR.LT.1.80)GXSTAR = 1.80
C
C GG = .1692282
C XSTAR = .3696101*(GXSTAR**(-1.115031))
C IF(GXSTAR.LT.2.0)XSTAR = ((2.0 - GXSTAR)*(.30 - GG)/.20)+GG
C

```

```

WSTAR = .74 - 1.475*XSTAR
RSTAR = .16 - .07833343*XSTAR + .7250027*(XSTAR**2) - 5.125016*(X
1STAR**3) + 7.5*(XSTAR**4) - 4.166693*(XSTAR**5)

```

```

C
WEQ=(QMAX*RMANN/SQRT(CSLP))**(3.0/8.0)*(WSTAR/(RSTAR)**(5.0/8.0))

```

```

C
RETURN
END
SUBROUTINE COUT

```

```

C.....

```

```

C.

```

```

C.          SUBRILL OUTPUT SUMMARY

```

```

C.

```

```

C.....

```

```

C.

```

```

C.      CHR   - THE CHANNEL ROUGHNESS COEFFICIENT

```

```

C.      CHS   - THE CHANNEL SLOPE

```

```

C.      CHW   - THE CHANNEL BASE WIDTH

```

```

C.      CHZ   - THE CHANNEL SIDE SLOPE

```

```

C.      QFLW  - THE INITIAL CHANNEL FLOW (ASSUMED CONSTANT)

```

```

C.

```

```

C.....

```

```

C

```

```

IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)

```

```

C

```

```

COMMON/FILES/IIN1,INN2,IOUT

```

```

COMMON/ICHDAT/IDWIT(12),NLF(12),NEL(12),NH(12),NNP(12),NSLVC(5,12)

```

```

COMMON/IDATA/IEL,ISC,NEND,NEQ,NTMC,NUMEL,NUMNP,NUMSC

```

```

COMMON/RDATA/ONE,R23,R35,R53,ZERO

```

```

COMMON/RLOG/AFAC,BACK

```

```

COMMON/RCHDAT/CHR(12),CHS(12),CHW(12),CHZ(12),DSQ(12),WS(12)

```

```

C

```

```

LOGICAL AFAC,BACK

```

```

C

```

```

1001 FORMAT(16I5)

```

```

1002 FORMAT(8F10.0)

```

```

2001 FORMAT(//21X,' ***** SUBCHANNEL DATA *****',

```

```

1//10X,' CHANNEL NUMBER OF NUMBER OF MASTER CHANNEL',

```

```

1 4X,'HY LF'

```

```

2//10X,' NUMBER ELEMENTS NODES NUMBERS',

```

```

2 6X,' CODE CODE',/)

```

```

2002 FORMAT(10X,I4,7X,I4,9X,I4,8X,4I3,4X,I4,3X,I4)

```

```

2003 FORMAT(//15X,

```

```

1 ' CHANNEL CHANNEL CHANNEL CHANNEL CHANNEL',/15X,

```

```

2 ' NUMBER ROUGHNESS SLOPE WIDTH SIDE SLOPE',/)

```

```

2004 FORMAT(15X,I4,5X,1PD9.3,3X,1PD9.3,2X,1PD9.3,3X,1PD9.3)

```

```

C

```

```

C OUTPUTTING THE CHANNEL DATA AND CALCULATING THE CHANNEL

```

```

C CONSTANTS.

```

```

C

```

```

C WRITE(IOUT,2001)

```

```

C

```

```

C DO 20 KISC=1,NUMSC

```

```

        WRITE(IOUT,2002) KISC,NEL(KISC),NNP(KISC),(NSLVC(I,KISC),I-2,5),
1      NH(KISC),NLF(KISC)
20     CONTINUE
C
        WRITE(IOUT,2003)
C
        DO 30 KISC=1,NUMSC
            WRITE(IOUT,2004) KISC,CHR(KISC),CHS(KISC),CHW(KISC),CHZ(KISC)
            CHR(KISC) = CHR(KISC)/1.486D0
            DSQ(KISC) = DSQRT(ONE + CHZ(KISC)*CHZ(KISC))
            WS(KISC) = CHW(KISC)*CHW(KISC)
30     CONTINUE
C
        RETURN
        END
        SUBROUTINE PROFIL
C.....
C.
C.
C.
C.
C.
C.....
C.
C.
C.
C.
C.
C.....
C.
C.
C.
C.
C.....
C
        IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
        COMMON/IDATA/IEL,ISC,NEND,NEQ,NTMC,NUMEL,NUMNP,NUMSC
        COMMON/EQN/A(25,12),RHS(11,12),JD(11,12)
        COMMON/IELMNT/LD(3,10,12),NCON(3,10,12),NELTP(10,12)
        COMMON/INODE/ID(11)
C
C     CALCULATING THE NUMBER OF EQUATIONS AND INITIALIZING THE NODAL
C     EQUATION NUMBER ARRAY.
C
        DO 10 I=1,NEQ
            ID(I) = I
10     CONTINUE
        ID(NUMNP) = 0
C
C     CALCULATING THE COLUMN HEIGHTS.
C
        DO 40 IEL=1,NUMEL
            NEND = NELTP(IEL,ISC) + 1
            DO 30 I=1,NEND
                II = ID(NCON(I,IEL,ISC))
                IF (II .GT. 0) THEN
                    DO 20 J=I,NEND
                        JJ = ID(NCON(J,IEL,ISC))
                        IF (JJ .GT. 0) THEN
                            M = MAX0(II,JJ)
                            JD(M,ISC) = MAX0(JD(M,ISC),IABS(II-JJ))
                ENDIF
            ENDIF
        ENDIF

```

```

                ENDIF
20             CONTINUE
                ENDIF
30             CONTINUE
40             CONTINUE
C
C             CALCULATING THE DIAGONAL ADDRESSES WITHIN THE PROFILE.
C
                JD(1,ISC) = 1
                IF (NEQ .EQ. 1) RETURN
                DO 50 N=2,NEQ
                    JD(N,ISC) = JD(N,ISC) + JD(N-1,ISC) + 1
50             CONTINUE
C
                RETURN
                END
                SUBROUTINE ELEQN

```

```

C.....
C.
C.             ELEMENT EQUATION NUMBER ROUTINE
C.
C.....
C.
C.             THE PURPOSE OF THIS SUBROUTINE IS TO GENERATE THE ELEMENT
C.             EQUATION NUMBER ARRAY.
C.
C.....
C
                IMPLICIT INTEGER*4(I-N)
                COMMON/IDATA/IEL,ISC,NEND,NEQ,NTMC,NUMEL,NUMNP,NUMSC
                COMMON/IELMNT/LD(3,10,12),NCON(3,10,12),NELTP(10,12)
                COMMON/INODE/ID(11)
C
C             LOOPING OVER THE ELEMENTS.
C
                DO 20 IEL=1,NUMEL
                    NEND = NELTP(IEL,ISC) + 1
C
C             DETERMINING THE ELEMENT EQUATION NUMBER ARRAY.
C
                DO 10 NOD=1,NEND
                    LD(NOD,IEL,ISC) = ID(NCON(NOD,IEL,ISC))
10             CONTINUE
C
                WRITE(6,9001)(LD(I,IEL,ISC),I=1,NEND)
9001             FORMAT(3I5)
20             CONTINUE
C
                RETURN
                END
                SUBROUTINE MATRIX
C.....
C.

```

```

C.          FLOW AREA MATRIX GENERATION ROUTINE          .
C.          .
C.....
C.
C.  THE PURPOSE OF THIS SUBROUTINE IS TO GENERATE THE CHANNEL .
C.  SYSTEM FLOW AREA MATRICES.                             .
C.
C.....
C
  IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
  COMMON/IDATA/IEL, ISC, NEND, NEQ, NTMC, NUMEL, NUMNP, NUMSC
  COMMON/RDATA/ONE, R23, R35, R53, ZERO
  COMMON/FLWMAT/AFM(3,3,2), QFV(3,2), VFM(3,3,2)
  COMMON/IELMNT/LD(3,10,12), NCON(3,10,12), NELTP(10,12)
  COMMON/EQN/A(25,12), RHS(11,12), JD(11,12)
  COMMON/RELMNT/ELN(10,12), QLT1(10,12), QLT2(10,12)
  DIMENSION EFM(3,3)

C
C  INITIALIZING THE SYSTEM COEFFICIENT MATRIX.
C
  NAD = JD(NEQ, ISC)
  DO 10 I=1, NAD
    A(I, ISC) = ZERO
10  CONTINUE
C
C  LOOPING OVER THE ELEMENTS.
C
  DO 30 IEL=1, NUMEL
    IELTP = NELTP(IEI, ISC)
    NEND = IELTP + 1

C
C  CALCULATING THE ELEMENT FLOW AREA MATRIX.
C
  DO 20 J=1, NEND
  DO 20 I=1, NEND
    EFM(I, J) = ELN(IEI, ISC)*AFM(I, J, IELTP)
20  CONTINUE
C
C  ASSEMBLING THE ELEMENT FLOW AREA MATRICES INTO THE SYSTEM
C  COEFFICIENT MATRIX.
C
  CALL ADDSTF(EFM)
30  CONTINUE
C
C  FACTORIZING THE CHANNEL FLOW AREA MATRIX.
C
  CALL ACTCOL(A(1, ISC), JD(1, ISC))
C
  RETURN
  END
  SUBROUTINE ADDSTF(EFM)
C.....
C.

```



```

C.          ELEMENT MATRIX ASSEMBLY ROUTINE
C.
C. ....
C.
C. THE PURPOSE OF THIS SUBROUTINE IS TO ASSEMBLE THE ELEMENT
C. COEFFICIENT MATRIX INTO THE SYSTEM COEFFICIENT MATRIX
C. CONSISTENT WITH THE PROFILE SOLVER.
C.
C. ....
C
C      IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
C      COMMON/IDATA/IEL, ISC, NEND, NEQ, NTMC, NUMEL, NUMNP, NUMSC
C      COMMON/EQN/A(25,12), RHS(11,12), JD(11,12)
C      COMMON/IELMNT/LD(3,10,12), NCON(3,10,12), NELTP(10,12)
C      DIMENSION EFM(3,3)
C
C      LOOPING OVER THE COLUMNS.
C
C      WRITE(6,9001)(LD(I, IEL, ISC), I=1, NEND)
9001      FORMAT(' ADDSTF ', 3I5)
C      DO 20 J=1, NEND
C          K = LD(J, IEL, ISC)
C          IF (K .EQ. 0) GO TO 20
C          L = JD(K, ISC) - K
C
C      LOOPING OVER THE ROWS.
C
C      DO 10 I=1, NEND
C          M = LD(I, IEL, ISC)
C
C      ASSEMBLING THE UPPER PROFILE COEFFICIENT MATRIX.
C
C      IF (M .GT. K .OR. M .EQ. 0) GO TO 10
C      M = L + M
C      A(M, ISC) = A(M, ISC) + EFM(I, J)
10      CONTINUE
20      CONTINUE
C
C      RETURN
C      END
C      SUBROUTINE CROUTE
C. ....
C.
C.          CHANNEL ROUTING ROUTINE
C.
C. ....
C.
C. THE PURPOSE OF THIS SUBROUTINE TO PERFORM THE CHANNEL NETWORK
C. ROUTING COMPUTATIONS BASED ON A DIFFUSION WAVE APPROXIMATION.
C.
C. ....
C
C      IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)

```

```

COMMON/CDATA/CLGH, CSLP, CWTH, FCAR, RMANN, TRACF, YIN
COMMON/DFILES/IF1, IF2
COMMON/FILES/IIN1, INN2, IOUT
COMMON/IDATA/IEL, ISC, NEND, NEQ, NTMC, NUMEL, NUMNP, NUMSC
COMMON/ITDAT/ANORM, BCT, DWT, MBCIT, MDWIT, NBCS, NCSC
COMMON/RLOG/AFAC, BACK
COMMON/TIME/DT, RTH, RTH1, RTT, DELTA, IFDC, ITS, NFDC, NRAIN, NTS
COMMON/EQN/A(25, 12), RHS(11, 12), JD(11, 12)
COMMON/FLOW/AFLW(12), DFLW(12), QFLW(12), QH(10)
COMMON/ICHDAT/IDWIT(12), NLF(12), NEL(12), NH(12), NNP(12), NSLVC(5, 12)
COMMON/RCHDAT/CHR(12), CHS(12), CHW(12), CHZ(12), DSQ(12), WS(12)
LOGICAL AFAC, BACK

```

```

C
2001  FORMAT(/14X,41H**** O U T F L O W   H Y D R O G R A P H ,
1 16H   D A T A   ****)
2002  FORMAT(/29X, ' RESULTS FOR TIME STEP:', I4
1/20X, ' NUMBER OF BOUNDARY CONDITION ITERATIONS:', I4
2//18X, ' CHANNEL ITER   FLOWRATE   AREA   DEPTH', /)
2003  FORMAT(18X, I4, 4X, I4, 4X, 1PD10.4, 2X, 1PD10.4, 2X, 1PD10.4)

```

```

C
REWIND IF1
REWIND IF2

```

```

C
C   INITIALIZING THE SOLUTION LOGICAL VARIABLES FOR
C   FORWARD ELIMINATION AND BACK SUBSTITUTION.
C

```

```

AFAC = .FALSE.
BACK = .TRUE.

```

```

C
C   CALCULATE THE INITIAL CHANNEL NETWORK FLOW DATA.
C

```

```

CALL INSOL

```

```

C
C   DETERMINING THE TIME INTERPOLATED CHANNEL ELEMENT
C   LATERAL INFLOWS.
C

```

```

CALL ELLFLW

```

```

C
C   LOOPING OVER THE TIME STEPS.
C

```

```

DO 40 ITS=2, NTS

```

```

C
C   CALCULATING THE UPSTREAM FLOW RATE, LATERAL INFLOW FOR THE
C   CURRENT TIME STEP AND GENERATING THE PREDICTED FLOW VALUES.
C

```

```

CALL CVAL

```

```

C
C   JUNCTION BOUNDARY CONDITION ITERATION LOOP.
C

```

```

C
C   IBCIT = 0
10  IF (IBCIT .LT. MBCIT) THEN
      IBCIT = IBCIT + 1
      MAXIT = IBCIT*MDWIT

```

```

C
C      LOOPING OVER THE CHANNELS.
C
C      DO 30 ISC=1,NUMSC
C
C          INITIALIZING THE CHANNEL VARIABLES.
C
C          NUMEL = NEL(ISC)
C          NUMNP = NNP(ISC)
C          NEQ = NUMNP - 1
C
C          UPDATE UPSTREAM FLOW RATE FOR SLAVED CHANNEL?
C
C          NMC = NSLVC(1,ISC) + 1
C          IF (NMC .GT. 1) CALL UPSCF(NMC)
C
C          CHECK ON THE NUMBER OF CHANNEL ITERATIONS.
C
C          IF (IDWIT(ISC) .LT. MAXIT) THEN
20             IDWIT(ISC) = IDWIT(ISC) + 1
C
C             CALCULATE THE NONLINEAR CHANNEL LOAD VECTOR.
C
C             CALL NRHS
C
C             SOLVE FOR THE UNKNOWN NODAL FLOW AREAS.
C
C             CALL ACTCOL(A(1,ISC),JD(1,ISC))
C
C             SOLUTION CONVERGENCE?
C
C             CALL CSOLN
C             IF (NCSC .EQ. 0) GO TO 20
C             ENDIF
30          CONTINUE
C
C          CHECKING FOR DOWNSTREAM MASTER CHANNEL BOUNDARY CONDITION
C          CONVERGENCE.
C
C          CALL DMCBC
C          IF (NBCS .EQ. 0) GO TO 10
C          ENDIF
C
C          UPDATING/OUTPUTTING THE CURRENT TIME STEP RESULTS.
C
C          CALL OUTPUT(IBCIT)
40          CONTINUE
C
C          OUTPUTTING THE CHANNEL HYDROGRAPH RESULTS.
C
C          REWIND IF2
C          WRITE(IOUT,2001)
C          DO 60 ITS=1,NTS

```

```

C
C     DISK FILE INPUT OF THE HYDROGRAPH DATA.
C
      READ(IF2) IBCIT,(IDWIT(ISC),AFLW(ISC),DFLW(ISC),QFLW(ISC),
1      ISC-1,NUMSC)
      WRITE(IOUT,2002) ITS,IBCIT
      DO 50 ISC-1,NUMSC
        WRITE(IOUT,2003) ISC,IDWIT(ISC),QFLW(ISC),AFLW(ISC),
1        DFLW(ISC)
50     CONTINUE
60     CONTINUE
C
      RETURN
      END
      SUBROUTINE INSOL
C.....
C.
C.           INITIAL CHANNEL FLOW DATA ROUTINE
C.
C.....
C.
C.     THE PURPOSES OF THIS SUBROUTINE ARE TO GENERATE THE INITIAL
C.     FLOW AREAS, DEPTHS AND FRICTION SLOPES FOR THE CHANNEL
C.     NETWORK USING PROFILE ANALYSIS.
C.
C.     DATA INPUT:
C.
C.     YIN   - DOWNSTREAM DEPTH FOR THE LAST CHANNEL
C.....
C
      IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
      COMMON/CDATA/CLGH,CSLP,CWTH,FCAR,RMANN,TRACF,YIN
      COMMON/DFILES/IF1,IF2
      COMMON/FILES/IIN,INN2,IOUT
      COMMON/IDATA/IEL,ISC,NEND,NEQ,NTMC,NUMEL,NUMNP,NUMSC
      COMMON/ITDAT/ANORM,BCT,DWT,IBCIT,MDWIT,NBCS,NCSC
      COMMON/RDATA/ONE,R23,R35,R53,ZERO
      COMMON/TIME/DT,RTH,RTH1,RTT,DELTA,IFDC,ITS,NFDC,NRAIN,NTS
      COMMON/FLOW/AFLW(12),DFLW(12),QFLW(12),QH(10)
      COMMON/ICHDAT/IDWIT(12),NLF(12),NEL(12),NH(12),NNP(12),NSLVC(5,12)
      COMMON/RCHDAT/CHR(12),CHS(12),CHW(12),CHZ(12),DSQ(12),WS(12)
      COMMON/RELMNT/ELN(10,12),QLT1(10,12),QLT2(10,12)
      COMMON/RNODE/AT1(25,12),AT2(25,12),FDT(25,12),FRT(25,12),
1      SF(25,12),XND(25,12)
      DIMENSION YO(12)
C
1001  FORMAT(8F10.0)
2001  FORMAT(//18X,49H**** CONVERGENCE FAILURE ****)
2002  FORMAT(//19X,47H**** INITIAL CONDITIONS ****
1//18X,'CHANNEL NODE   FLOWRATE   AREA   DEPTH',/)
2003  FORMAT(18X,I4,4X,I4,4X,1PD10.4,2X,1PD10.4,3X,1PD10.4)
2004  FORMAT()

```

```

C
C   INITIALIZING THE NODAL FLOWS AND FRICTION SLOPES.
C
DO 10 ISC=1,NUMSC
DO 10 NOD=1,NNP(ISC)
    FRT(NOD,ISC) = QFLW(ISC)
    SF(NOD,ISC) = CHS(ISC)
10 CONTINUE
C
C   CALCULATE THE DOWNSTREAM CHANNEL NORMAL DEPTH?
C
IF (YIN .LE. ZERO) THEN
C
C   CALCULATING THE DOWNSTREAM FLOW DEPTH USING SECANT
C   ITERATION ON MANNING'S FLOW AREA EQUATION.
C
    NUMNP = NNP(NUMSC)
    CON = DSQRT(SF(NUMNP,NUMSC))/CHR(NUMSC)
    ANM = ZERO
    P23 = (CHW(NUMSC) + 2.*FDT(NUMNP,NUMSC)*DSQ(NUMSC))**R23
    AN = (0.5*QFLW(NUMSC)*P23/CON)**R35
    FANM = QFLW(NUMSC)
    FAN = 0.5*QFLW(NUMSC)
C
C   CALCULATING THE UPDATED FLOW AREA AND DEPTH.
C
    ITER = 0
20 IF (ITER .LT. MDWIT) THEN
    ITER = ITER + 1
    ANP = AN - FAN*(AN - ANM)/(FAN - FANM)
    WSQ = CHW(NUMSC) + DSQRT(WS(NUMSC) + 4.*CHZ(NUMSC)*ANP)
    YIN = 2.*ANP/WSQ
C
C   CHECK FOR CONVERGENCE.
C
    IF (DABS(ANP - AN)/ANP .GT. DWT) THEN
        ANM = AN
        AN = ANP
        P23 = (CHW(NUMSC) + 2.*YIN*DSQ(NUMSC))**R23
        A53 = AN**R53
        FANM = FAN
        FAN = QFLW(NUMSC) - CON*A53/P23
        GO TO 20
    ENDIF
ELSE
C
C   NONCONVERGED SOLUTION.
C
    WRITE(IOUT,2001)
    STOP
ENDIF
ENDIF
C.....

```

P R O F I L E   A N A L Y S I S

```

C
C
C
C.....
C
  ANORM = ZERO
  YO(NUMSC) = YIN

C
C
C
  LOOPING OVER THE CHANNELS.

  WRITE(IOUT,2002)
  DO 70 IMC=1,NUMSC

C
C
C
  ESTABLISHING THE CHANNEL PARAMETERS.

  ISC = NUMSC - IMC + 1
  NUMNP = NNP(ISC)
  NMC = NSLVC(1,ISC) + 1

C
  C1 = QFLW(ISC)*QFLW(ISC)/64.348
  C2 = 0.5*QFLW(ISC)*QFLW(ISC)*CHR(ISC)*CHR(ISC)

C
C
C
  INITIAL FLOW VALUES.

  Y1 = YO(ISC)
  FDT(NUMNP,ISC) = Y1
  AT1(NUMNP,ISC) = (CHW(ISC) + CHZ(ISC)*Y1)*Y1

C
C
C
  CALCULATING THE NODAL FLOW DEPTHS.

  NUMNP1 = NUMNP - 1
  DO 40 NOD=1,NUMNP1
    NODE = NUMNP - NOD
    RL = ELN(NODE,ISC)
    C3 = C2*RL
    C4 = CHS(ISC)*RL

C
C
C
  CALCULATING THE DOWNSTREAM FIXED VALUES.

  CALL CHANC(Y1,A2,HR43)
  C5 = Y1 + C1/A2 + C3/A2/HR43 - C4

C
C
C
  GENERATE FIRST TRIAL DEPTH FOR SECANT METHOD (DEPTHS
  EQUALS 1/3 OF DOWNSTREAM NODAL DEPTH).

  Y21 = 0.80*Y1
  CALL CHANC(Y21,A2,HR43)
  F21 = Y21 + C1/A2 - C3/A2/HR43 - C5

C
C
C
  GENERATE SECOND TRIAL DEPTH FOR SECANT METHOD (DEPTH
  EQUALS 2/3 OF DOWNSTREAM NODAL DEPTH).

```

```

Y22 = 0.90*Y1
CALL CHANC(Y22,A2,HR43)
F22 = Y22 + C1/A2 - C3/A2/HR43 - C5
C
C
C
SEGANT ITERATION FOR NODAL DEPTH.
IF (DABS(F22-F21) .LT. DWT) F22 = ZERO
30 Y2 = Y22 - F22*(Y22 - Y21)/(F22 - F21)
   if(y2.le.zero)y2=0.5*y22
C
C
C
CHECK FOR CONVERGENCE.
IF (DABS(Y2-Y22)/Y2 .GT. DWT) THEN
C
C
C
    UPDATE THE NODAL ITERATION FLOW DEPTHS.
    Y21 = Y22
    F21 = F22
    Y22 = Y2
    CALL CHANC(Y22,A2,HR43)
    F22 = Y22 + C1/A2 - C3/A2/HR43 - C5
    GO TO 30
ELSE
C
C
C
    CONVERGED SOLUTION.
    Y1 = Y2
    FDT(NODE,ISC) = Y1
    AT1(NODE,ISC) = (CHW(ISC) + CHZ(ISC)*Y1)*Y1
ENDIF
40 CONTINUE
C
C
C
    UPDATING THE MASTER CHANNEL DOWNSTREAM FLOW DEPTHS.
    IF (NMC .GT. 1) THEN
        DO 50 I=2,NMC
            YO(NSLVC(I,ISC)) = Y1
50     CONTINUE
    ENDIF
C
C
C
    OUTPUTTING THE INITIAL CHANNEL CONDITIONS AND CALCULATING
    THE INITIAL FLOW AREA TWO-NORM.
    DO 60 NOD=1,NUMNP
        WRITE(IOUT,2003) ISC,NOD,FRT(NOD,ISC),AT1(NOD,ISC),
1         FDT(NOD,ISC)
        WRITE(6,2003) ISC,NOD,FRT(NOD,ISC),AT1(NOD,ISC),
1         FDT(NOD,ISC)
        ANORM = ANORM + AT1(NOD,ISC)*AT1(NOD,ISC)
60     CONTINUE
    WRITE(IOUT,2004)
C
    IDWIT(ISC) = 0

```

```

      AFLW(ISC) = AT1(NUMNP, ISC)
      DFLW(ISC) = FDT(NUMNP, ISC)
      QFLW(ISC) = FRT(NUMNP, ISC)
70  CONTINUE
C
C  DISK FILE STORAGE OF THE CHANNEL FLOW CALCULATIONS.
C
      WRITE(IF2) IBCIT, (IDWIT(ISC), AFLW(ISC), DFLW(ISC), QFLW(ISC),
1      ISC-1, NUMSC)
C
      RETURN
      END
      SUBROUTINE CHANC(Y, A, R)
C.....
C.
C.          CHANNEL CHARACTERISTICS ROUTINE
C.
C.....
C.
C.  THE PURPOSE OF THIS SUBROUTINE IS TO DETERMINE THE VALUES OF
C.  AREA SQUARED AND THE HYDRAULIC RADIUS RAISED TO THE 4/3'RDS
C.  POWER FOR A GIVEN FLOW DEPTH.
C.
C.....
C.
      IMPLICIT REAL*8(A-H, O-Z), INTEGER*4(I-N)
      COMMON/IDATA/IEL, ISC, NEND, NEQ, NTMC, NUMEL, NUMNP, NUMSC
      COMMON/RDATA/ONE, R23, R35, R53, ZERO
      COMMON/RCHDAT/CHR(12), CHS(12), CHW(12), CHZ(12), DSQ(12), WS(12)
C
C  CALCULATING FLOW AREA, WETTED PERIMETER, FLOW AREA SQUARED
C  AND HYDRAULIC RADIUS RAISED TO THE 4/3'RDS POWER.
C
      A1 = (CHW(ISC) + CHZ(ISC)*Y)*Y
      P = CHW(ISC) + 2.*Y*DSQ(ISC)
      A = A1*A1
      R = (A/P/P)**R23
C
      RETURN
      END
      SUBROUTINE ELLFLW
C.....
C.
C.          ELEMENT LATERAL FLOW DATA ROUTINE
C.
C.....
C.
C.  THE PURPOSE OF THIS SUBROUTINE IS TO CALCULATE THE ELEMENT
C.  LATERAL INFLOW DATA CONSISTENT WITH THE CURRENT TIME INCRE-
C.  MENT DATA; ACTUAL LATERAL INFLOW DATA IS OBTAINED FROM THE
C.  OVERLAND FLOW PROGRAM.
C.
C.....

```



C  
 IMPLICIT REAL\*8(A-H,O-Z), INTEGER\*4(I-N)  
 COMMON/FILES/IIN, INN2, IOUT  
 COMMON/IDATA/IEL, ISC, NEND, NEQ, NTMC, NUMEL, NUMNP, NUMSC  
 COMMON/RDATA/ONE, R23, R35, R53, ZERO  
 COMMON/TIME/DT, RTH, RTH1, RTT, DELTA, IFDC, ITS, NFDC, NRAIN, NTS  
 COMMON/ICHDAT/IDWIT(12), NLF(12), NEL(12), NH(12), NNP(12), NSLVC(5,12)  
 COMMON/LFILES/IFL(12)  
 COMMON/RELMNT/ELN(10,12), QLT1(10,12), QLT2(10,12)  
 COMMON/TMPDAT/Q1(100), Q2(10,250)

C  
 C  
 C LOOPING OVER THE CHANNELS.

C  
 C DO 70 ISC=1,NUMSC

C  
 C NUMEL = NEL(ISC)

C  
 C DISK FILE INPUT OF THE LATERAL INFLOW DATA.

C  
 C READ(IFL(ISC),REC=ITS) (QLT1(IEL,ISC),IEL-1,NUMEL)  
 C READ(IFL(ISC))(QLT1(IEL,ISC),IEL-1,NUMEL)

C  
 70 CONTINUE

C  
 C RETURN  
 C END  
 C SUBROUTINE CVAL

C.....  
 C.  
 C. CURRENT TIME STEP CALCULATION ROUTINE  
 C.  
 C.....

C.  
 C. THE PURPOSES OF THIS SUBROUTINE ARE TO CALCULATE THE CURRENT  
 C. TIME STEP LATERAL INFLOWS, PREDICTOR FLOW AREAS AND DEPTHS  
 C. USING AN EXPLICIT FINITE DIFFERENCE ALGORITHM AND THE FIRST  
 C. ITERATION FRICTION SLOPES AND FLOW RATES.  
 C.  
 C.....

C  
 IMPLICIT REAL\*8(A-H,O-Z), INTEGER\*4(I-N)  
 COMMON/DFILES/IF1, IF2  
 COMMON/IDATA/IEL, ISC, NEND, NEQ, NTMC, NUMEL, NUMNP, NUMSC  
 COMMON/ITDAT/ANORM, BCT, DWT, MBCIT, MDWIT, NBCS, NCSC  
 COMMON/RDATA/ONE, R23, R35, R53, ZERO  
 COMMON/TIME/DT, RTH, RTH1, RTT, DELTA, IFDC, ITS, NFDC, NRAIN, NTS  
 COMMON/FLOW/AFLW(12), DFLW(12), QFLW(12), QH(10)  
 COMMON/ICHDAT/IDWIT(12), NLF(12), NEL(12), NH(12), NNP(12), NSLVC(5,12)  
 COMMON/IELMNT/LD(3,10,12), NCON(3,10,12), NELTP(10,12)  
 COMMON/RCHDAT/CHR(12), CHS(12), CHW(12), CHZ(12), DSQ(12), WS(12)  
 COMMON/RELMNT/ELN(10,12), QLT1(10,12), QLT2(10,12)  
 COMMON/RNODE/AT1(25,12), AT2(25,12), FDT(25,12), FRT(25,12),  
 1 SF(25,12), XND(25,12)

```

C
C   DIMENSION QQ(10)
C
C   DISK FILE INPUT OF THE MASTER CHANNEL INFLOW RATES.
C
C   READ(IF1) (QQ(I),I=1,NTMC)
C
C   IC = ZERO
C
C   DO 40 ISC=1,NUMSC
C
C       NMC = NSLVC(1,ISC) + 1
C       IF (NMC .NE. 1) GO TO 40
C       IC = IC + 1
C       QH(ISC)=QQ(IC)
C
C   40 CONTINUE
C
C   LOOPING OVER THE CHANNELS.
C
C   DO 30 ISC=1,NUMSC
C
C       INITIALIZING THE CHANNEL VARIABLES.
C
C       NUMEL = NEL(ISC)
C       NUMNP = NNP(ISC)
C       NEQ = NUMNP - 1
C
C       CALCULATING THE CURRENT TIME STEP LINEAR RIGHT HAND
C       SIDE VECTOR.
C
C       CALL LRHS
C
C       CALCULATING THE NODAL FLOW AREAS AND DEPTHS AT TIME T +
C       THETA*DT USING AN EXPLICIT FINITE DIFFERENCE ALGORITHM.
C
C       DO 20 IEL=1,NUMEL
C           NEND = NELTP(IEI,ISC) + 1
C           DQLT = RTT*QLT1(IEI,ISC)
C           DQLT = ZERO
C           DXT = RTT*NELTP(IEI,ISC)/ELN(IEI,ISC)
C           DO 10 NOD=2,NEND
C               NOD2 = NCON(NOD,IEI,ISC)
C               NOD1 = NOD2 - 1
C               AT2(NOD2,ISC) = DQLT + AT1(NOD2,ISC) - DXT*(FRT(NOD2,ISC)
C                   - FRT(NOD1,ISC))
C
C                   1
C
C               IF(AT2(NOD2,ISC).LE.ZERO)AT2(NOD2,ISC)=0.5*AT1(NOD2,ISC)
C
C       CALCULATING THE PREDICTOR FLOW DEPTH BY SOLVING
C       THE QUADRATIC EQUATION:
C
C
C           2                                     1/2

```

```

C          S h + wh - A = 0; h = 2A/[w + (w*w + 4*S A) ]
C          s                                     s
C
C          h is the positive root of the quadratic equation.
C
C          WSQ = CHW(ISC) + DSQRT(WS(ISC)+4.*CHZ(ISC)*AT2(NOD2,ISC))
C          FDT(NOD2,ISC) = 2.*AT2(NOD2,ISC)/WSQ
C
C          CONTINUE
10         CONTINUE
20
C
C          CALCULATING THE UPSTREAM FLOW AREA AND DEPTH
C          AT TIME T + THETA*DT.
C
C          QLT1(1,ISC)=ZERO
C          AT2(1,ISC) = RTT*QLT1(1,ISC) + AT1(1,ISC) + RTT*NELTP(1,ISC)
1          *(FRT(1,ISC) - FRT(2,ISC))/ELN(1,ISC)
C
C          IF(AT2(1,ISC).LE.ZERO)AT2(1,ISC)=0.5*AT1(1,ISC)
C
C          WSQ = CHW(ISC) + DSQRT(WS(ISC) + 4.*CHZ(ISC)*AT2(1,ISC))
C          FDT(1,ISC) = 2.*AT2(1,ISC)/WSQ
C
C          CALCULATING THE UPSTREAM FLOW RATE AT TIME T + THETA*DT
C          FOR A MASTER
C
C          NMC = NSLVC(1,ISC) + 1
C          FFF = FRT (1,ISC)
C          IF (NMC .EQ. 1) FRT(1,ISC) = RTH1*FRT(1,ISC) + RTH*QH(ISC)
C
C          GENERATING THE NODAL FRICTION SLOPES AND FLOW RATES.
C
C          CALL FSFR
30         CONTINUE
C
C          ADJUSTING THE DOWNSTREAM MASTER CHANNEL BOUNDARY CONDITIONS.
C
C          CALL DMCBC
C
C          RETURN
C          END
C          SUBROUTINE LRHS
C.....
C.
C.          LINEAR RIGHT HAND SIDE VECTOR ROUTINE
C.
C.....
C.
C.          THE PURPOSES OF THIS SUBROUTINE ARE TO CALCULATE THE CURRENT
C.          TIME STEP LINEAR RIGHT HAND SIDE VECTOR.
C.
C.....

```

```

C
IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
COMMON/IDATA/IEL,ISC,NEND,NEQ,NTMC,NUMEL,NUMNP,NUMSC
COMMON/RDATA/ONE,R23,R35,R53,ZERO
COMMON/TIME/DT,RTH,RTH1,RTT,DELTA,IFDC,ITS,NFDC,NRAIN,NTS
COMMON/EQN/A(25,12),RHS(11,12),JD(11,12)
COMMON/FLWMAT/AFM(3,3,2),QFV(3,2),VFM(3,3,2)
COMMON/IELMNT/LD(3,10,12),NCON(3,10,12),NELTP(10,12)
COMMON/LFILES/IFL(12)
COMMON/RELMNT/ELN(10,12),QLT1(10,12),QLT2(10,12)
COMMON/RNODE/AT1(25,12),AT2(25,12),FDT(25,12),FRT(25,12),
1 SF(25,12),XND(25,12)
DIMENSION P(3)

C
C INITIALIZING THE LINEAR RIGHT HAND SIDE VECTOR.
C
DO 10 I=1,NEQ
  RHS(I,ISC) = ZERO
10 CONTINUE

C
C DISK FILE INPUT OF THE LATERAL INFLOWS AT TIME T AND TIME
C T + DT.
C
C READ(IFL(ISC),REC=ITS) (QLT2(IEL,ISC),IEL-1,NUMEL)
C READ(IFL(ISC)) (QLT2(IEL,ISC),IEL-1,NUMEL)

C
C LOOPING OVER THE ELEMENTS.
C
DO 40 IEL=1,NUMEL
  IELTP = NELTP(IEL,ISC)
  NEND = IELTP + 1
  RL = ELN(IEL,ISC)

C
C CALCULATING THE ELEMENT LATERAL INFLOW AT TIME T + THETA*DT.
C
C QLT = RL*RTT*(RTH*QLT2(IEL,ISC) + RTH1*QLT1(IEL,ISC))

C
C CALCULATING THE ELEMENT RIGHT HAND SIDE VECTOR.
C
DO 20 I=1,NEND
  P(I) = QFV(I,IELTP)*QLT
  DO 20 J=1,NEND
    P(I) = P(I) + RL*AFM(I,J,IELTP)*AT1(NCON(J,IEL,ISC),ISC)
20 CONTINUE

C
C ASSEMBLING THE ELEMENT RIGHT HAND SIDE VECTOR
C INTO THE SYSTEM LINEAR RIGHT HAND SIDE VECTOR.
C
DO 30 NOD=1,NEND
  IDF = LD(NOD,IEL,ISC)
  IF (IDF.GT. 0) RHS(IDF,ISC) = RHS(IDF,ISC) + P(NOD)
30 CONTINUE
40 CONTINUE

```

```

C
  RETURN
  END
  SUBROUTINE UPSCF(NMC)
C.....
C
C          UPSTREAM SLAVE CHANNEL FLOW ROUTINE
C.....
C
C  THE PURPOSE OF THIS SUBROUTINE IS TO CALCULATE THE SLAVED
C  CHANNEL UPSTREAM FLOW RATE.
C.....
C
  IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
  COMMON/IDATA/IEL, ISC, NEND, NEQ, NTMC, NUMEL, NUMNP, NUMSC
  COMMON/RDATA/ONE, R23, R35, R53, ZERO
  COMMON/ICHDAT/IDWIT(12), NLF(12), NEL(12), NH(12), NNP(12), NSLVC(5,12)
  COMMON/RNODE/AT1(25,12), AT2(25,12), FDT(25,12), FRT(25,12),
1          SF(25,12), XND(25,12)
C
C  ACCUMULATING THE SLAVED CHANNEL UPSTREAM FLOW RATE.
C
  TFR = ZERO
  DO 10 IC=2, NMC
    MCN = NSLVC(IC, ISC)
    TFR = TFR + FRT(NNP(MCN), MCN)
10  CONTINUE
  FRT(1, ISC) = TFR
C
  RETURN
  END
  SUBROUTINE NRHS
C.....
C
C          NONLINEAR RIGHT HAND SIDE VECTOR ROUTINE
C.....
C
C  THE PURPOSE OF THIS SUBROUTINE IS TO CALCULATE THE NONLINEAR
C  CHANNEL LOAD VECTOR.
C.....
C
  IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
  COMMON/IDATA/IEL, ISC, NEND, NEQ, NTMC, NUMEL, NUMNP, NUMSC
  COMMON/RDATA/ONE, R23, R35, R53, ZERO
  COMMON/TIME/DT, RTH, RTH1, RTT, DELTA, IFDC, ITS, NFDC, NRAIN, NTS
  COMMON/EQN/A(25,12), RHS(11,12), JD(11,12)
  COMMON/FLWMAT/AFM(3,3,2), QFV(3,2), VFM(3,3,2)
  COMMON/IELMNT/LD(3,10,12), NCON(3,10,12), NELTP(10,12)
  COMMON/RELMNT/ELN(10,12), QLT1(10,12), QLT2(10,12)

```

```

COMMON/RLOAD/B(11)
COMMON/RNODE/AT1(25,12),AT2(25,12),FDT(25,12),FRT(25,12),
1 SF(25,12),XND(25,12)
DIMENSION P(3)

C
C   INITIALIZING THE NONLINEAR RIGHT HAND SIDE VECTOR.
C
DO 10 I=1,NEQ
  B(I) = RHS(I,ISC)
10 CONTINUE

C
C   LOOPING OVER THE ELEMENTS.
C
DO 40 IEL=1,NUMEL
  IELTP = NELTP(IEL,ISC)
  NEND = IELTP + 1

C
C   CALCULATING THE ELEMENT NONLINEAR RIGHT HAND SIDE VECTOR.
C
DO 20 I=1,NEND
  P(I) = ZERO
  DO 20 J=1,NEND
    P(I) = P(I) - VFM(I,J,IELTP)*FRT(NCON(J,IEL,ISC),ISC)
20 CONTINUE

C
C   ASSEMBLING THE CURRENT ELEMENT FLOW VECTOR INTO THE
C   SYSTEM RIGHT HAND SIDE VECTOR.
C
DO 30 NOD=1,NEND
  IDF = LD(NOD,IEL,ISC)
  IF (IDF .GT. 0) B(IDF) = B(IDF) + RTT*P(NOD)
30 CONTINUE
40 CONTINUE

C
C   ASSEMBLING THE BOUNDARY CONDITION INTO THE RIGHT HAND
C   SIDE VECTOR.
C
IELTP = NELTP(NUMEL,ISC)
NEND = IELTP + 1
RL = ELN(NUMEL,ISC)
DO 50 I=1,IELTP
  B(LD(I,NUMEL,ISC)) = B(LD(I,NUMEL,ISC)) - RL*AFM(I,NEND,IELTP)
1 *AT2(NCON(NEND,NUMEL,ISC),ISC)
50 CONTINUE

C
RETURN
END
SUBROUTINE ACTCOL(A,JDIAG)
C.....
C.
C.          SYMMETRIC PROFILE EQUATION SOLUTION ROUTINE
C.
C.....

```

C.  
 C. THE PURPOSES OF THIS SUBROUTINE ARE TO PERFORM FORWARD ELIMI-  
 C. NATION AND BACK SUBSTITUTION OPERATIONS ON A SYMMETRIC  
 C. PROFILE MATRIX USING GAUSS-CROUT ELIMINATION.  
 C.  
 C. ....  
 C

```

      IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
      COMMON/IDATA/IEL,ISC,NEND,NEQ,NTMC,NUMEL,NUMNP,NUMSC
      COMMON/RDATA/ONE,R23,R35,R53,ZERO
      COMMON/RLOG/AFAC,BACK
      COMMON/RLOAD/B(11)
      DIMENSION A(25),JDIAG(11)
      LOGICAL AFAC,BACK
  
```

C  
 C  
 C  
 C  
 C  
 C

FACTOR THE COEFFICIENT MATRIX A INTO (U) <sup>T</sup> \* D \* U AND REDUCE THE  
 THE RIGHT HAND SIDE VECTOR B.

```

      JR = 0
      DO 600 J=1,NEQ
        JD = JDIAG(J)
        JH = JD - JR
        IS = J - JH + 2
        IF (JH-2) 600,300,100
        IF (.NOT. AFAC) GO TO 500
        IE = J - 1
        K = JR + 2
        ID = JDIAG(IS-1)
  
```

C  
 C  
 C

REDUCE ALL EQUATIONS EXCEPT THE DIAGONAL.

```

      DO 200 I=IS,IE
        IR = ID
        ID = JDIAG(I)
        IH = MINO(ID-IR-1,I-IS+1)
        IF (IH .GT. 0) A(K) = A(K) - DOT(A(K-IH),A(ID-IH),IH)
        K = K + 1
      CONTINUE
  
```

C  
 C  
 C

REDUCE THE DIAGONAL TERM.

```

      IF (.NOT. AFAC) GO TO 500
      IR = JR + 1
      IE = JD - 1
      K = J - JD
      DO 400 I=IR,IE
        ID = JDIAG(K+I)
        IF (A(ID) .EQ. ZERO) GO TO 400
        D = A(I)
        A(I) = A(I)/A(ID)
        A(JD) = A(JD) - D*A(I)
      CONTINUE
  
```

200  
 300  
 400

```

C
C      REDUCE THE RIGHT HAND SIDE VECTOR?
C
500      IF (BACK) B(J) = B(J) - DOT(A(JR+1),B(IS-1),JH-1)
600      JR = JD
        IF (.NOT. BACK) RETURN
C
C      DIVIDE BY THE DIAGONAL PIVOTS.
C
        DO 700 I=1,NEQ
            ID = JDIAG(I)
            IF (A(ID) .NE. ZERO) B(I) = B(I)/A(ID)
700      CONTINUE
C
C      BACK SUBSTITUTION.
C
        J = NEQ
        JD = JDIAG(J)
800      D = B(J)
            J = J - 1
            IF (J .LE. 0) RETURN
            JR = JDIAG(J)
            IF (JD-JR .LE. 1) GO TO 1000
            IS = J - JD + JR + 2
            K = JR - IS + 1
            DO 900 I=IS,J
                B(I) = B(I) - D*A(I+K)
900      CONTINUE
1000     JD = JR
        GO TO 800
C
        END
        FUNCTION DOT(A,B,N)
C.....
C.
C.      DOT PRODUCT FUNCTION SUBPROGRAM
C.
C.....
C.
C.      THE PURPOSE OF THIS SUBPROGRAM IS TO EVALUATE VECTOR DOT
C.      PRODUCTS.
C.
C.....
C
        IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
        COMMON/RDATA/ONE,R23,R35,R53,ZERO
        DIMENSION A(N),B(N)
C
C      EVALUATING THE VECTOR DOT PRODUCT.
C
        DOT = ZERO
        DO 10 I=1,N
            DOT = DOT + A(I)*B(I)

```



10 CONTINUE

C

RETURN

END

SUBROUTINE CSOLN

C.....

C.

C.

SOLUTION CONVERGENCE CHECK ROUTINE

C.

C.....

C.

THE PURPOSE OF THIS SUBROUTINE IS TO DETERMINE SOLUTION

C.

CONVERGENCE.

C.

C.....

C

IMPLICIT REAL\*8(A-H,O-Z), INTEGER\*4(I-N)

COMMON/IDATA/IEL, ISC, NEND, NEQ, NTMC, NUMEL, NUMNP, NUMSC

COMMON/ITDAT/ANORM, BCT, DWT, MBCIT, MDWIT, NBCS, NCSC

COMMON/RDATA/ONE, R23, R35, R53, ZERO

COMMON/TIME/DT, RTH, RTH1, RTT, DELTA, IFDC, ITS, NFDC, NRAIN, NTS

COMMON/ICHDAT/IDWIT(12), NLF(12), NEL(12), NH(12), NNP(12), NSLVC(5,12)

COMMON/RCHDAT/CHR(12), CHS(12), CHW(12), CHZ(12), DSQ(12), WS(12)

COMMON/RLOAD/B(11)

COMMON/RNODE/AT1(25,12), AT2(25,12), FDT(25,12), FRT(25,12),

1 SF(25,12), XND(25,12)

C

C

CALCULATING THE INCREMENTAL FLOW AREA TWO-NORM AND UPDATING

C

THE CURRENT TIME STEP NODAL FLOW AREA AND DEPTH VALUES.

C

ATN = ZERO

DO 10 NOD=1, NEQ

ADF = B(NOD) - AT2(NOD, ISC)

ATN = ATN + ADF\*ADF

AT2(NOD, ISC) = B(NOD)

C

IF(AT2(NOD, ISC) .LE. ZERO) AT2(NOD, ISC) = 0.5\*AT1(NOD, ISC)

C

WSQ = CHW(ISC) + DSQRT(WS(ISC) + 4.\*CHZ(ISC)\*AT2(NOD, ISC))

FDT(NOD, ISC) = 2.\*AT2(NOD, ISC)/WSQ

10

CONTINUE

C

C

GENERATING THE NODAL FRICTION SLOPES AND FLOW RATES.

C

CALL FSFR

C

C

SOLUTION CONVERGENCE?

C

NCSC = 0

IF (ATN/ANORM .LT. DWT) NCSC = 1

C

RETURN

END

## SUBROUTINE DMCBC

```

C.....
C.
C.      DOWNSTREAM MASTER CHANNEL BOUNDARY CONDITION ROUTINE
C.
C.....
C.
C.      THE PURPOSE OF THIS SUBROUTINE IS TO CALCULATE THE AVERAGE
C.      FLOW DEPTH AT THE MASTER-SLAVE JUNCTION(S) AND DETERMINE
C.      IF THE DOWNSTREAM MASTER CHANNEL BOUNDARY CONDITION HAS
C.      CONVERGED.
C.
C.....
C
  IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
  COMMON/IDATA/IEL,MCN,NEND,NEQ,NTMC,NUMEL,NUMNP,NUMSC
  COMMON/ITDAT/ANORM,BCT,DWT,MBCIT,MDWIT,NBCS,NCSC
  COMMON/RDATA/ONE,R23,R35,R53,ZERO
  COMMON/TIME/DT,RTH,RTH1,RTT,DELTA,IFDC,ITS,NFDC,NRAIN,NTS
  COMMON/ICHDAT/IDWIT(12),NLF(12),NEL(12),NH(12),NNP(12),NSLVC(5,12)
  COMMON/IELMNT/LD(3,10,12),NCON(3,10,12),NELTP(10,12)
  COMMON/RCHDAT/CHR(12),CHS(12),CHW(12),CHZ(12),DSQ(12),WS(12)
  COMMON/RNODE/AT1(25,12),AT2(25,12),FDT(25,12),FRT(25,12),
1      SF(25,12),XND(25,12)
C
C      INITIALIZING THE SUBROUTINE PARAMETERS.
C
  NBCS = 0
  NMBC = 0
  NSLC = NUMSC - NTMC
  IBSC = NTMC + 1
C
C      SINGLE CHANNEL ANALYSIS?
C
  IF (NSLC .EQ. 0) THEN
    NBCS = 1
    RETURN
  ENDIF
C
C      LOOPING OVER THE SLAVED CHANNELS.
C
  DO 20 ISC=IBSC,NUMSC
    NMC = NSLVC(1,ISC) + 1
C
C      ACCUMULATING THE CHANNEL JUNCTION FLOW DEPTH.
C      CALCULATING THE MASTER CHANNEL FLOW AREAS.
C      SETTING THE MASTER CHANNEL FLOW DEPTHS.
C
    SFD = FDT(1,ISC)
    TFD = SFD
    TFR = ZERO
    DO 10 IC=2,NMC
      MCN = NSLVC(IC,ISC)

```

```

TFD = TFD + FDT(NNP(MCN),MCN)
AT2(NNP(MCN),MCN) = (CHW(MCN) + CHZ(MCN)*SFD)*SFD
FDT(NNP(MCN),MCN) = SFD

```

10

CONTINUE

C

C

CHECK FOR CHANNEL NETWORK JUNCTION CONVERGENCE.

C

AFD = TFD/NMC

IF (DABS(SFD - AFD)/SFD .LT. BCT) NMBC = NMBC + 1

20

CONTINUE

C

C

ESTABLISHING THE CHANNEL NETWORK CONVERGENCE CONDITION.

C

NBCS = NMBC/NSLC

C

RETURN

END

SUBROUTINE OUTPUT(IBCIT)

C

C

C

FLOW PARAMETER UPDATE ROUTINE

C

C

C

C

C

THE PURPOSES OF THIS SUBROUTINE ARE TO UPDATE THE NODAL FLOW  
PARAMETERS AND OUTPUT THE FLOW DEPTH PROFILE.

C

C

C

C

IMPLICIT REAL\*8(A-H,O-Z), INTEGER\*4(I-N)

COMMON/DFILES/IF1,IF2

COMMON/FILES/IIN,INN2,IOUT

COMMON/IDATA/IEL,ISC,NEND,NEQ,NIMC,NUMEL,NUMNP,NUMSC

COMMON/ITDAT/ANORM,BCT,DWT,MBCIT,MDWIT,NBCS,NCSC

COMMON/TIME/DT,RTH,RTH1,RTT,DELTA,IFDC,ITS,NFDC,NRAIN,NTS

COMMON/FLOW/AFLW(12),DFLW(12),QFLW(12),QH(10)

COMMON/ICHDAT/IDWIT(12),NLF(12),NEL(12),NH(12),NNP(12),NSLVC(5,12)

COMMON/RCHDAT/CHR(12),CHS(12),CHW(12),CHZ(12),DSQ(12),WS(12)

COMMON/RELMT/ELN(10,12),QLT1(10,12),QLT2(10,12)

COMMON/RNODE/AT1(25,12),AT2(25,12),FDT(25,12),FRT(25,12),

1 SF(25,12),XND(25,12)

DIMENSION ITER(12)

C

```

2001 FORMAT(///23X,' THE NODAL FLOW DEPTHS FOR TIME: ',F7.2,
1/22X,' THE NUMBER OF BOUNDARY ITERATIONS: ',I6,
2//10X,' CHANNEL ITER NODE FLOWRATE AREA DEPTH ',/)
2002 FORMAT(11X,I4,6X,I4,5X,I4,3X,1PD10.4,3X,1PD10.4,3X,1PD11.5)
2003 FORMAT()

```

C

C

UPDATING/CALCULATING THE CHANNEL DATA.

C

ANORM = ZERO

DO 40 ISC=1,NUMSC

```

C
C   UPDATING THE LATERAL INFLOWS.
C
  NUMEL = NEL(ISC)
  DO 10 IEL=1,NUMEL
    QLT1(IEL,ISC) = QLT2(IEL,ISC)
10  CONTINUE
C
C   UPDATING THE NODAL FLOW AREA AND DEPTH VECTORS; CALCULATING
C   THE FLOW AREA TWO-NORM.
C
  NUMNP = NNP(ISC)
  DO 20 NOD=1,NUMNP
    AT = (AT2(NOD,ISC) - RTH1*AT1(NOD,ISC))/RTH
C
    AT2(NOD,ISC) = AT
C
    IF(AT2(NOD,ISC) .LE. ZERO)AT2(NOD,ISC)=0.5*AT1(NOD,ISC)
C
    AT1(NOD,ISC) = AT
C
    WSQ = CHW(ISC) + DSQRT(WC(ISC) + 4.*CHZ(ISC)*AT1(NOD,ISC))
    FDT(NOD,ISC) = 2.*AT1(NOD,ISC)/WSQ
    ANORM = ANORM + AT1(NOD,ISC)*AT1(NOD,ISC)
20  CONTINUE
C
C   CALCULATING THE UPSTREAM FLOW RATE AT TIME T + DT
C   FOR EITHER A MASTER OR SLAVED CHANNEL.
C
  NMC = NSLVC(1,ISC) + 1
  IF (NMC .EQ. 1) THEN
C
    MASTER CHANNEL.
C
    FRT(1,ISC) = QH(ISC)
  ELSE
C
    SLAVED CHANNEL.
C
    TFR = ZERO
    DO 30 IC=2,NMC
      MCN = NSLVC(IC,ISC)
      TFR = TFR + FRT(NNP(MCN),MCN)
30  CONTINUE
    FRT(1,ISC) = TFR
  ENDIF
C
C   UPDATING THE FRICTION SLOPES AND FLOW RATES.
C
  CALL FSFR
C
C   UPDATING THE DIFFUSION WAVE ITERATION COUNTER AND
C   THE OUTFLOW HYDROGRAPH VARIABLES.

```

```

C
      ITER(ISC) = IDWIT(ISC)
      IDWIT(ISC) = 0
      AFLW(ISC) = AT1(NUMNP, ISC)
      DFLW(ISC) = FDT(NUMNP, ISC)
      QFLW(ISC) = FRT(NUMNP, ISC)
40  CONTINUE
C
C   DISK FILE STORAGE OF THE CHANNEL FLOW CALCULATIONS.
C
      WRITE(IF2) IBCIT, (ITER(ISC), AFLW(ISC), DFLW(ISC), QFLW(ISC),
1   ISC-1, NUMSC)
C
C   CHECK FOR FLOW DEPTH OUTPUT.
C
      IFDC = IFDC + 1
      IF (IFDC .EQ. NFDC) THEN
          IFDC = 0
          STIME = (ITS - 1)*DT
          WRITE(IOUT, 2001) STIME, IBCIT
          DO 60 ISC-1, NUMSC
C
C           OUTPUTTING THE FLOW DEPTH PROFILE.
C
          DO 50 NOD-1, NUMNP
              WRITE(IOUT, 2002) ISC, ITER(ISC), NOD, FRT(NOD, ISC),
1   AT1(NOD, ISC), FDT(NOD, ISC)
50  CONTINUE
          WRITE(IOUT, 2003)
60  CONTINUE
      ENDIF
C
      RETURN
      END
      SUBROUTINE FSFR
C.....
C.
C.           FRICTION SLOPE/FLOW RATE UPDATE ROUTINE
C.
C.....
C.
C.   THE PURPOSES OF THIS SUBROUTINE ARE TO UPDATE THE NODAL
C.   FRICTION SLOPES AND CALCULATE THE UNKNOWN NODAL FLOW RATES.
C.
C.....
C
      IMPLICIT REAL*8(A-H, O-Z), INTEGER*4(I-N)
      COMMON/IDATA/IEL, ISC, NEND, NEQ, NTMC, NUMEL, NUMNP, NUMSC
      COMMON/TIME/DT, RTH, RTH1, RTT, DELTA, IFDC, ITS, NFDC, NRAIN, NTS
      COMMON/RCHDAT/CHR(12), CHS(12), CHW(12), CHZ(12), DSQ(12), WS(12)
      COMMON/RNODE/AT1(25, 12), AT2(25, 12), FDT(25, 12), FRT(25, 12),
1   SF(25, 12), XND(25, 12)
C

```

C LOOPING OVER THE NODES.

C

```
DO 10 NOD-2, NUMNP
  NDM = NOD - 1
  CALL FSLOPE(FS, NDM, NOD)
  SF(NOD, ISC) = FS
  CALL FRATE(FR, NOD)
  FRT(NOD, ISC) = FR
```

10

CONTINUE

C

```
RETURN
END
SUBROUTINE FSLOPE(FS, NDM, NOD)
```

C

C

FRICITION SLOPE EVALUATION FUNCTION ROUTINE

C

C

C

C

C

THE PURPOSE OF THIS SUBROUTINE IS TO EVALUATE THE FRICTION  
FRICTION SLOPE USING BACKWARD FINITE DIFFERENCES.

C

C

C

C

```
IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)
COMMON/IDATA/IEL, ISC, NEND, NEQ, NTMC, NUMEL, NUMNP, NUMSC
COMMON/TIME/DT, RTH, RTH1, RTT, DELTA, IFDC, ITS, NFDC, NRAIN, NTS
COMMON/RCHDAT/CHR(12), CHS(12), CHW(12), CHZ(12), DSQ(12), WS(12)
COMMON/RELMNT/ELN(10,12), QLT1(10,12), QLT2(10,12)
COMMON/RNODE/AT1(25,12), AT2(25,12), FDT(25,12), FRT(25,12),
1 SF(25,12), XND(25,12)
```

C

C

CALCULATING THE NODAL DEPTH GRADIENT.

C

C

```
DDX = (FDT(NOD, ISC) - FDT(NDM, ISC)) / (XND(NOD, ISC) - XND(NDM, ISC))
DDX = (FDT(NOD, ISC) - FDT(NDM, ISC)) / ELN(NDM, ISC)
```

C

C

CALCULATING THE FRICTION SLOPE; CHECK FOR NEGATIVE SLOPE.

C

```
FS = CHS(ISC) - DDX
IF (FS .LT. ZERO) FS = RTH1 * SF(NOD, ISC)
```

C

```
RETURN
END
SUBROUTINE FRATE(FR, NOD)
```

C

C

FLOW RATE EVALUATION ROUTINE

C

C

C

C

C

THE PURPOSE OF THIS SUBROUTINE IS TO EVALUATE THE FLOW RATE.

C

```
C .....  
C  
  IMPLICIT REAL*8(A-H,O-Z), INTEGER*4(I-N)  
  COMMON/IDATA/IEL, ISC, NEND, NEQ, NTMC, NUMEL, NUMNP, NUMSC  
  COMMON/RDATA/ONE, R23, R35, R53, ZERO  
  COMMON/RCHDAT/CHR(12), CHS(12), CHW(12), CHZ(12), DSQ(12), WS(12)  
  COMMON/RNODE/AT1(25,12), AT2(25,12), FDT(25,12), FRT(25,12),  
1      SF(25,12), XND(25,12)  
C  
C      CALCULATING THE FLOW RATE.  
C  
C      P23 = (CHW(ISC) + 2.*FDT(NOD,ISC)*DSQ(ISC))**R23  
C  
C      CALCULATE FLOWRATE USING MANNING'S EQUATION  
C  
C      FR = (SF(NOD,ISC)**.5)*(AT2(NOD,ISC)**R53)/(CHR(ISC)*P23)  
C  
C      RETURN  
C      END
```

APPENDIX E

— CDATA and HDATA FILES FOR EXAMPLE RILL SYSTEM



Table E.1 CDATA File for Example Network

KENTUCY RILL		NETWORK MODEL				
PLOT	S2R2	(SUBSOIL RUN)				
8	0	90	0	0		
	0.0		0.0	0.0	60.00	2.0
	3		1800.0			.02
	4.35		4.35	4.35	4.35	
	15.5		.28	.42	.19	
	25.0		25.0	3.89	3.89	.52

Table E.2 HDATA File for Example Network

9										
1	9									
	1		1		5	11.78560	0.08045	4.48515		
0	0	0	0	0						
1	1	30	296	0.15063	0.05927	0.17109	10.58602	4.48515	2.54000	
1	2	29	394	0.17002	0.04156	0.14640	10.23766	4.16451	2.54000	
2	1	30	395	0.12855	0.05054	0.18167	5.01476	4.16322	2.54000	
2	2	24	492	0.38564	0.12544	0.09253	9.08366	3.65031	2.54000	
3	1	24	493	0.17980	0.07235	0.09804	4.14928	3.64967	2.54000	
3	2	26	591	0.16471	0.04156	0.15323	7.75602	3.30580	2.54000	
4	1	26	592	0.22478	0.07005	0.11050	2.86814	3.30451	2.54000	
4	2	22	686	0.34167	0.08315	0.07979	3.92599	2.73935	2.54000	
5	1	22	687	0.16765	0.04789	0.11032	3.07073	2.73870	1.62560	
5	2	9	747	1.14977	0.30272	0.09522	6.01680	1.42193	1.62560	
6	0	9	747	1.42193	3.14960	0.06865	12.00394	1.42193	0.00000	
	1		2		2	2.87020	0.09135	3.02451		
0	0	0	0	0						
1	1	30	296	0.48466	0.10211	0.32534	17.08169	3.02451	2.54000	
1	2	38	394	1.20437	0.22834	0.13204	18.91173	1.33548	2.54000	
2	1	36	395	0.00402	0.05292	0.05633	1.83722	1.33096	0.33020	
2	2	36	406	0.04050	0.52493	0.10382	13.21119	1.29096	0.33020	
3	0	36	406	1.29096	3.08779	0.07881	9.11308	1.29096	0.00000	
	1		3		2	3.17500	0.08911	1.80774		
0	0	0	0	0						
1	1	25	99	0.21744	0.07061	0.17144	7.03517	1.80774	2.54000	
1	2	25	198	0.18772	0.03556	0.29095	6.84882	1.40258	2.54000	
2	1	25	199	0.05979	0.13818	0.31095	6.05172	1.40193	0.63500	
2	2	27	223	0.04924	0.08839	0.15705	2.95836	1.29355	0.63500	
3	0	27	223	1.29355	5.12656	0.10004	16.40262	1.29355	0.00000	
	1		4		6	13.00480	0.09165	6.51998		
0	0	0	0	0						
1	1	19	98	0.27016	0.10414	0.20234	7.33167	6.51998	2.54000	
1	2	17	197	0.28597	0.08484	0.14314	6.19629	5.96386	2.54000	
2	1	17	198	0.28823	0.10730	0.15964	6.50636	5.95870	2.54000	
2	2	8	295	0.43371	0.13659	0.10018	6.87874	5.24192	2.54000	
3	1	8	296	1.09234	0.21590	0.08861	4.14036	5.23805	2.54000	
3	2	13	395	0.65540	0.10414	0.08208	7.39363	3.49419	2.54000	
4	1	13	396	0.43567	0.31370	0.09594	6.76520	3.49225	2.54000	
4	2	11	492	0.18239	0.10605	0.10437	4.81643	2.87612	2.54000	
5	1	11	493	0.74174	0.26365	0.08671	5.91189	2.87548	2.54000	
5	2	11	592	0.79890	0.25857	0.07229	7.32300	1.33548	2.54000	
6	1	11	593	0.01866	0.25188	0.06282	4.33356	1.33419	0.30480	
6	2	11	604	0.02650	0.33232	0.07857	3.44384	1.29032	0.30480	
7	0	11	604	1.29032	2.68556	0.08270	4.07609	1.29032	0.00000	
	1		5		2	0.76200	0.09839	1.73096		
0	0	0	0	0						
1	1	11	24	0.02254	0.15784	0.05317	16.49235	1.73096	0.38100	
1	2	9	37	0.00520	0.01270	0.13024	1.76756	1.70322	0.38100	
2	1	9	38	0.03471	0.18687	0.08684	2.79127	1.69806	0.38100	
2	2	6	51	0.01497	0.05261	0.35999	4.55832	1.65354	0.38100	
3	0	6	51	1.65354	4.87094	0.11984	14.57252	1.65354	0.00000	

	1		6		3	5.10540	0.08206	9.08514		
2	1	2	0	0						
1	1	26	99	0.04890		0.01426	0.24467	6.60282	9.08514	2.54000
1	2	33	196	0.32658		0.06920	0.24575	9.32319	8.70966	2.54000
2	1	33	197	0.41194		0.11058	0.31561	13.03680	8.70901	2.54000
2	2	30	295	0.78096		0.18319	0.25377	16.30974	7.51676	2.54000
3	1	30	296	0.00065		0.25400	3.19764	271.93651	7.51159	0.02540
3	2	30	296	0.00065		0.33020	1.07527	92.52106	7.51159	0.02540
	1		7		2	0.20320	0.04199	10.97804		
2	6	3	0	0						
1	1	20	98	0.00000		0.00000	1.07527	2.00000	10.97804	0.10160
1	2	22	99	0.00387		0.00000	0.07468	2.48997	10.97417	0.10160
2	1	25	98	0.04557		0.05080	0.04041	2.71021	10.90255	0.10160
2	2	25	99	0.02604		0.00000	2.01808	116.29612	10.90255	0.10160
	1		8		2	1.93040	0.07830	18.07286		
2	7	4	0	0						
1	1	11	24	0.09550		0.08155	0.13698	6.36241	18.07286	0.96520
1	2	16	61	0.25676		0.19451	0.38821	16.09749	17.72060	0.96520
2	1	16	62	0.04390		0.07963	0.19027	7.70721	17.71996	0.96520
2	2	19	98	0.11288		0.18329	0.27949	13.09665	17.56383	0.96520
	1		9		2	0.66040	0.10842	19.93608		
2	8	5	0	0						
1	1	18	1	0.02422		0.08011	0.27187	2.75743	19.93544	0.33020
1	2	15	13	0.03190		0.08011	0.32801	8.26235	19.87931	0.33020
2	1	15	14	0.02809		0.07620	0.15373	2.63955	19.86963	0.33020
2	2	11	24	0.04288		0.08775	0.62359	15.77852	19.80834	0.33020
2	7									
	2		1		3	6.83260	0.07476	4.82386		
0	0	0	0	0						
1	1	50	509	0.21448		0.08432	0.11030	6.31251	4.82386	2.54000
1	2	59	605	0.29713		0.09086	0.13692	6.50199	4.31225	2.54000
2	1	59	606	0.53535		0.16166	0.08416	9.39020	4.31031	2.54000
2	2	67	701	0.66529		0.17357	0.08413	5.06645	3.11161	2.54000
3	1	67	702	0.76378		0.30592	0.13917	4.00178	3.11096	1.75260
3	2	66	769	1.04202		0.39034	0.11187	8.17127	1.30580	1.75260
4	0	66	769	1.30580		2.32255	0.09397	9.15547	1.30580	0.00000
	2		2		2	4.31800	0.07087	4.39160		
0	0	0	0	0						
1	1	50	509	0.87978		0.19345	0.13014	5.65531	4.39160	2.54000
1	2	48	607	0.51118		0.08672	0.08864	6.99686	3.00064	2.54000
2	1	47	608	1.02211		0.30365	0.10586	5.13272	2.99999	1.77800
2	2	51	673	0.66821		0.17972	0.09413	3.71031	1.31032	1.77800
3	0	51	673	1.31032		3.98042	0.09154	12.89723	1.31032	0.00000
	2		3		2	2.00660	0.07189	3.12773		
0	0	0	0	0						
1	1	63	391	0.11339		0.10160	0.11516	14.05265	3.12773	1.01600
1	2	74	421	0.22919		0.17370	0.18189	11.77137	2.78515	1.01600
2	1	74	422	0.44112		0.15891	0.12557	9.29863	2.78322	0.99060
2	2	74	460	1.03952		0.34909	0.11422	8.18986	1.30451	0.99060
3	0	74	460	1.30451		4.84293	0.07147	9.95920	1.30451	0.00000
	2		4		2	0.99060	0.09843	1.55225		
0	0	0	0	0						
1	1	44	141	0.06765		0.08001	0.10538	2.88442	1.55225	0.50800

1	2	47	160	0.08912	0.08001	0.13046	2.08938	1.39548	0.50800
2	1	48	161	0.05647	0.20743	0.10611	2.48336	1.39096	0.48260
2	2	46	178	0.02547	0.06632	0.18808	5.16197	1.31355	0.48260
3	0	46	178	1.31355	4.17002	0.10598	16.79567	1.31355	0.00000
	2		5		2	3.20040	0.07839	11.25223	
2	1	2	0	0					
1	1	63	391	0.71208	0.14652	0.16044	13.15183	11.25223	2.54000
1	2	50	483	1.10727	0.20881	0.17564	12.02751	9.43288	2.54000
2	1	50	484	0.05289	0.14752	0.29219	7.44666	9.42385	0.66040
2	2	50	509	0.15937	0.42008	0.06722	8.99204	9.22062	0.66040
	2		6		3	6.50240	0.09367	17.16577	
2	5	3	0	0					
1	1	44	141	0.16245	0.02592	0.20980	9.32608	17.16577	2.54000
1	2	55	237	1.23690	0.16916	0.10457	6.61626	15.76641	2.54000
2	1	55	238	0.14607	0.07235	0.09523	5.09056	15.76577	2.54000
2	2	59	336	1.05328	0.49722	0.13798	14.15973	14.56706	2.54000
3	1	59	337	0.03168	0.08867	0.16202	12.17314	14.56642	1.42240
3	2	63	391	0.13800	0.37638	0.13936	13.20108	14.39738	1.42240
	2		7		2	3.60680	0.08468	20.12253	
2	6	4	0	0					
1	1	39	1	0.58210	0.10871	0.08433	12.93163	20.12189	2.54000
1	2	45	100	0.51274	0.07036	0.26195	6.62114	19.02705	2.54000
2	1	45	101	0.19749	0.33516	0.09666	14.24408	19.01995	1.06680
2	2	44	141	0.10573	0.15612	0.09712	4.25324	18.72383	1.06680
3	3								
	3		1		2	3.86080	0.08413	2.23290	
0	0	0	0	0					
1	1	55	75	0.35076	0.13385	0.06791	6.25676	2.23290	2.54000
1	2	78	159	0.22860	0.05993	0.07320	6.43145	1.65354	2.54000
2	1	78	160	0.04065	0.03088	0.11286	2.00198	1.65225	1.32080
2	2	80	210	0.32064	0.21715	0.11863	3.88022	1.29225	1.32080
3	0	80	210	1.29225	4.80906	0.09608	6.21113	1.29225	0.00000
	3		2		2	0.45720	0.11688	1.81612	
0	0	0	0	0					
1	1	52	75	0.25695	0.07937	0.08759	2.95390	1.81612	0.22860
1	2	57	82	0.17789	0.02540	0.13229	1.26506	1.38129	0.22860
2	1	59	82	0.06104	0.23495	0.08822	3.13323	1.37742	0.22860
2	2	61	89	0.02864	0.09207	0.05946	1.86921	1.29161	0.22860
3	0	61	89	1.29161	2.73707	0.09285	8.47958	1.29161	0.00000
	3		3		2	1.90500	0.13368	4.60644	
2	1	2	0	0					
1	1	53	1	0.10792	0.10628	0.30019	8.08631	4.60192	0.96520
1	2	54	38	0.12692	0.09959	0.33824	11.72690	4.36709	0.96520
2	1	54	39	0.08316	0.08718	0.14369	6.17837	4.36386	0.93980
2	2	52	75	0.23232	0.21899	0.10577	4.21625	4.05160	0.93980
4	3								
	4		1		7	17.75459	0.08203	9.03740	
0	0	0	0	0					
1	1	97	61	0.92169	0.21891	0.08429	5.77683	9.03740	2.54000
1	2	103	155	0.86927	0.18199	0.07675	5.50497	7.24643	2.54000
2	1	103	156	0.17884	0.23270	0.09639	5.82856	7.24514	2.54000
2	2	103	254	0.07857	0.07697	0.10880	6.97524	6.98902	2.54000
3	1	103	255	0.42680	0.19037	0.11561	5.30627	6.98773	2.54000



	6		1		2	4.95300	0.08368	3.32257		
0	0	0	0	0						
1	1	124	1	0.71457	0.17885	0.12188	20.34286	3.31160	2.54000	
1	2	130	97	0.72284	0.15397	0.14767	13.85037	1.87419	2.54000	
2	1	130	98	0.16660	0.10215	0.08571	7.24086	1.87354	2.41300	
2	2	136	190	0.41276	0.22587	0.08178	6.70572	1.29484	2.41300	
3	0	136	190	1.29484	4.92601	0.11446	18.92900	1.29484	0.00000	
7	1									
	7		1		2	3.55600	0.09438	2.39032		
0	0	0	0	0						
1	1	150	1	0.23242	0.07040	0.12794	16.65839	2.38967	2.54000	
1	2	157	92	0.66564	0.19160	0.19299	24.00627	1.49161	2.54000	
2	1	158	92	0.14533	0.24397	0.10461	7.01147	1.48709	1.01600	
2	2	154	129	0.05596	0.07085	0.07655	3.92098	1.29032	1.01600	
3	0	154	129	1.29032	3.54676	0.08603	26.67866	1.29032	0.00000	
8	15									
	8		1		2	4.11480	0.07683	2.67096		
0	0	0	0	0						
1	1	150	563	0.91928	0.21953	0.07957	6.83688	2.67096	2.54000	
1	2	153	660	0.26975	0.03991	0.07377	6.57318	1.48193	2.54000	
2	1	152	661	0.14489	0.28523	0.10510	4.34514	1.44967	1.57480	
2	2	148	721	0.04607	0.06412	0.10948	3.93251	1.29096	1.57480	
3	0	148	721	1.29096	3.81000	0.09605	9.25674	1.29096	0.00000	
	8		2		2	4.41960	0.07727	2.57225		
0	0	0	0	0						
1	1	149	563	0.34566	0.13666	0.07314	6.96151	2.57225	2.54000	
1	2	138	654	0.24015	0.07592	0.09545	6.51610	1.98645	2.54000	
2	1	137	654	0.23200	0.11482	0.09493	4.00523	1.98387	1.87960	
2	2	127	726	0.40219	0.17571	0.10891	4.01965	1.35225	1.87960	
3	0	127	726	1.35225	3.30442	0.10148	9.72166	1.35225	0.00000	
	8		3		2	5.00380	0.07499	2.60709		
0	0	0	0	0						
1	1	163	542	0.25880	0.08406	0.07763	5.62918	2.60709	2.54000	
1	2	160	638	0.21281	0.04661	0.09190	2.97051	2.13548	2.54000	
2	1	159	639	0.30718	0.13705	0.09292	4.73607	2.13483	2.46380	
2	2	159	734	0.33346	0.12568	0.09433	4.72626	1.49484	2.46380	
3	0	159	734	1.49484	3.36434	0.10246	9.32231	1.49484	0.00000	
	8		4		2	1.52400	0.06947	1.76709		
0	0	0	0	0						
1	1	164	542	0.11235	0.06773	0.08079	2.08461	1.76709	0.76200	
1	2	163	571	0.11797	0.04657	0.08403	1.98476	1.53677	0.76200	
2	1	163	572	0.01901	0.03481	0.07092	1.76864	1.53225	0.76200	
2	2	163	598	0.14035	0.22672	0.10056	2.43513	1.37742	0.76200	
3	0	163	598	1.37742	5.06476	0.09538	12.69095	1.37742	0.00000	
	8		5		2	1.27000	0.08681	1.74709		
0	0	0	0	0						
1	1	146	393	0.06588	0.10933	0.14104	16.76308	1.74709	0.63500	
1	2	139	415	0.03477	0.03313	0.35409	19.23536	1.64645	0.63500	
2	1	139	416	0.23200	0.28956	0.11422	6.68699	1.64516	0.63500	
2	2	136	440	0.10865	0.10973	0.29469	8.81393	1.30580	0.63500	
3	0	136	440	1.30580	2.52095	0.08693	12.41614	1.30580	0.00000	
	8		6		2	0.38100	0.04963	1.42064		
0	0	0	0	0						

1	1	146	393	0.00387	0.01905	0.17439	1.49443	1.42064	0.20320
1	2	148	400	0.01548	0.05397	0.42584	6.97205	1.40129	0.20320
2	1	148	401	0.00719	0.04717	0.30600	1.33095	1.39355	0.17780
2	2	149	407	0.02378	0.13063	0.58320	7.79215	1.37032	0.17780
3	0	149	407	1.37032	2.59182	0.09313	16.31160	1.37032	0.00000
	8		7		4	9.52500	0.08236	3.23483	
0	0	0	0	0					
1	1	161	251	0.32837	0.11642	0.18106	10.90469	3.23483	2.54000
1	2	178	346	0.36195	0.09948	0.08853	10.34006	2.54451	2.54000
2	1	177	347	0.16729	0.08357	0.09496	14.98688	2.52967	2.54000
2	2	178	446	0.20949	0.07925	0.12853	13.75768	2.16774	2.54000
3	1	178	447	0.28290	0.08346	0.22050	4.67181	2.16645	2.54000
3	2	177	544	0.30807	0.06480	0.07537	5.17213	1.57677	2.54000
4	1	176	545	0.15477	0.12598	0.08471	4.31346	1.57483	1.90500
4	2	180	619	0.12523	0.07654	0.07784	4.78613	1.29677	1.90500
5	0	180	619	1.29677	6.39572	0.09159	10.52803	1.29677	0.00000
	8		8		2	0.27940	0.02971	1.36580	
0	0	0	0	0					
1	1	172	94	0.00290	0.00847	0.09159	2.00000	1.36580	0.15240
1	2	172	99	0.04355	0.10160	0.17013	2.80818	1.31935	0.15240
2	1	172	100	0.00166	0.03048	0.09748	2.15252	1.31806	0.12700
2	2	172	104	0.01382	0.22860	0.20066	2.18097	1.30387	0.12700
3	0	172	104	1.30387	5.31837	0.09469	7.82783	1.30387	0.00000
	8		9		2	2.05740	0.07605	5.87741	
2	1	2	0	0					
1	1	162	484	0.12142	0.08318	0.09855	2.90413	5.87741	1.04140
1	2	153	523	0.21341	0.12001	0.08486	4.03973	5.54257	1.04140
2	1	152	524	0.12262	0.16573	0.09688	3.24360	5.53741	1.01600
2	2	150	563	0.16318	0.19240	0.05956	5.43725	5.25676	1.01600
	8		10		2	1.52400	0.07573	4.78902	
2	3	4	0	0					
1	1	162	484	0.05294	0.05781	0.13149	2.07828	4.78902	0.76200
1	2	164	512	0.06384	0.04554	0.10581	2.31056	4.67225	0.76200
2	1	164	513	0.05996	0.06604	0.14892	2.84262	4.66902	0.76200
2	2	164	542	0.23359	0.22945	0.08192	4.39897	4.37870	0.76200
	8		11		2	3.37820	0.07498	11.88513	
2	9	10	0	0					
1	1	157	358	0.10931	0.04091	0.24246	8.21503	11.88513	2.54000
1	2	164	452	0.70681	0.24090	0.11312	6.49104	11.06901	2.54000
2	1	164	453	0.08430	0.07541	0.12260	2.46433	11.06513	0.83820
2	2	162	484	0.31506	0.26114	0.12946	6.00386	10.66965	0.83820
	8		12		2	1.06680	0.04837	3.88580	
2	5	6	0	0					
1	1	157	358	0.29864	0.18627	0.29761	21.08308	3.88580	0.53340
1	2	147	372	0.29619	0.18119	0.18601	5.55282	3.29096	0.53340
2	1	147	373	0.02229	0.11974	0.80775	20.08529	3.28580	0.53340
2	2	146	393	0.08352	0.42454	0.24428	11.65843	3.18515	0.53340
	8		13		2	2.87020	0.09327	16.59932	
2	11	12	0	0					
1	1	160	251	0.31954	0.12887	0.10781	27.36479	16.59932	2.54000
1	2	157	345	0.40304	0.13475	0.17384	15.23847	15.87674	2.54000
2	1	157	346	0.01548	0.04689	0.21044	1.61524	15.87351	0.33020
2	2	157	358	0.08194	0.22665	0.20941	3.14380	15.77932	0.33020

	8		14		2	4.19100	0.08542	21.90059		
2	13	7	0	0						
1	1	172	94	0.37059	0.10107	0.15437	4.99064	21.90059	2.54000	
1	2	156	188	1.18683	0.30560	0.13485	8.53601	20.34318	2.54000	
2	1	156	189	0.15306	0.15966	0.15987	6.99313	20.33802	1.65100	
2	2	160	251	0.34371	0.33060	0.16256	6.01872	19.84640	1.65100	
	8		15		2	2.48920	0.09993	23.67672		
2	14	8	0	0						
1	1	179	1	0.07517	0.06220	1.77237	24.29467	23.67220	1.24460	
1	2	179	49	0.07580	0.03732	0.08637	6.38077	23.52123	1.24460	
2	1	179	50	0.09722	0.08636	0.53326	12.88070	23.51930	1.24460	
2	2	172	94	0.10407	0.06604	0.13804	3.02680	23.31994	1.24460	
9	1									
	9		1		0	0.00000	0.00000	0.00000		
0	0	0	0	0						
0	0	0	0	4.98708	1.37065	0.09492	23.64940	4.98708	0.00000	