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A Review on Torque and Flux Control Method of Bldc Motor

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## Abstract

The proposed sensorless technique nearly looks like the regular DTC conspire utilized for sinusoidal air conditioning engines with the end goal that it controls the torque specifically and stator motion abundancy in a roundabout way utilizing d-pivot current. This technique does not require beat width adjustment and relative in addition to fundamental controllers and furthermore allows the direction of changing signs. Moreover, to lower the low-recurrence torque motions, two real and effortlessly accessible line-to-line back EMF constants (kba and kca) as indicated by electrical rotor position are acquired disconnected and changed over to the dq outline reciprocals utilizing the new line-to-line stop change.

**Keyword:**Brushless dc (BLDC) motor; direct torque control (DTC); fast torque response; low-frequency torque ripples; non-sinusoidal back electromotive force (EMF); position-sensorless control; stator flux control; torque

# **INTRODUCTION**

Because of a few particular favorable circumstances, for example, substantial torque to idleness proportion, high effectiveness and straightforwardness in their control, PMSM and BLDC engine drives are utilized widely in a few applications. The essential problem for **BLDC** with engines non sinusoidalelectromotive power (EMF) in a considerable lot of the applications are acquiring a low-recurrence distend free torque and momentary torque and even motion control.

This examination shows a novel and straightforward position-sensor less gradual torque and winding motion control of BLDC engine that is like the ordinary DTC plot utilized for sinusoidal air conditioning engines where both torque and motion are controlled, at the same time. Instead of the earlier two-stage conduction coordinate torque control strategies utilized for BLDC engine [5], [6], the proposed DTC method gives position-sensorless drive that is very like the one utilized in customary DTC conspire and furthermore controls the stator transition in a roundabout way utilizing d-hub current. Thusly, motion debilitating task is conceivable. Organize changes are finished by the new line-toline Park change that shapes a  $2 \times 2$ framework rather than the ordinary  $2 \times 3$ network. In this manner, as opposed to line-to-impartial back EMF three waveforms, which are not specifically accessible in the engine effectively available two line-to-line back EMF constants (kba ( $\theta$ re ) and kca ( $\theta$ re )) are acquired disconnected and changed over to the dq outline counterparts (kd ( $\theta$ re ) and kq (θre )).

# PROPOSED LINE-TO-LINE PARK AND CLARKE TRANSFORMATIONS IN 2 × 2 MATRIX FORM

Since the fair frameworks in dq reference outline don't require a zero arrangement term, first line-to-line Clarke change from the three-stage amounts is inferred and, at that point the line-to-line Park change shaping a  $2 \times 2$  lattice rather than a  $2 \times 3$ grid for three-stage frameworks can be acquired in the accompanying.

Utilizing some arithmetical controls, the first Clarke change shaping a  $2 \times 3$  network barring the zero arrangement term can be disentangled to a  $2 \times 2$  framework

as pursues:

Which requires just two info factors Xba and Xca where

Xba = Xb - Xa and Xca = Xc - Xa. X speaks to machine factors, for example, flows, voltages, transition linkages, back EMFs, and so forth. To get the line-to-line Park change framing a 2×2 framework, the reverse of the first Clarke change grid [T $\alpha\beta$ ] is required. Since the zero-grouping term is expelled, [T $\alpha\beta$ ] network isn't square any longer, yet it is as yet solitary and hence, pseudo converse can be found in the accompanying:

$$[T_{\alpha\beta}]^{+} = [T_{\alpha\beta}]^{T} ([T_{\alpha\beta}][T_{\alpha\beta}]^{T})^{-1}$$
(2)



$$\begin{bmatrix} T_{\alpha\beta} \end{bmatrix}^{+} \begin{bmatrix} T_{\alpha\beta} \end{bmatrix} \begin{bmatrix} X_{a} \\ X_{b} \\ X_{c} \end{bmatrix} = \begin{bmatrix} T_{\alpha\beta} \end{bmatrix}^{+} \begin{bmatrix} T_{LL} \end{bmatrix} \begin{bmatrix} X_{ba} \\ X_{ca} \end{bmatrix} \quad (3)$$

Where  $[T\alpha\beta]$  + and  $[T\alpha\beta]T$  are the pseudo backwards and transpose of the first Clarke change lattice  $[T\alpha\beta]$ , separately. Here abc to ba– ca change can be spoken to as pursues:

After (3) is extended and increased by the first  $2 \times 3$ Park change lattice in the two

sides, logarithmic controls lead to rearrangements utilizing some trigonometric equality. In this way, the accompanying  $2 \times 2$  line-to-line Park change framework shape is gotten:

$$\begin{bmatrix} X_d \\ X_q \end{bmatrix} = \frac{2}{3} \begin{bmatrix} \sin\left(\theta - \frac{\pi}{6}\right) & -\sin\left(\theta + \frac{\pi}{6}\right) \\ -\cos\left(\theta - \frac{\pi}{6}\right) & \cos\left(\theta + \frac{\pi}{6}\right) \end{bmatrix} \begin{bmatrix} X_{ba} \\ X_{ca} \end{bmatrix}.$$
(4)

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# A. THE PROPOSED METHOD

the proposed adjusted framework just two electrical rotor position dependant back EMF constants (kd ( $\theta re$ ) and kq ( $\theta re$ )) are required in the torque estimation calculation. Since the quantities of information factors (current and back EMF) are decreased from three to two, a lot less complex Park change can be utilized as given in (4). Along these lines, the measure of increases and sine/cosine capacities are limited

$$\varphi_{qs}^{r} = L_{s}i_{ds}^{r} + \varphi_{r}^{\prime} \sum_{n=1}^{\infty} \left( K_{6n-1} + K_{6n+1} \right) \sin\left(6n\theta_{r}\right)$$
(5)  
$$\varphi_{ds}^{r} = L_{s}i_{qs}^{r} + \varphi_{r}^{\prime} \sum_{n=1}^{\infty} \left( K_{6n-1} - K_{6n+1} \right) \cos\left(6n\theta_{r}\right) + \varphi_{r}^{\prime}$$
(6)

The line-to-line Park change framework in (4) is utilized to get the dq reference outline back EMF constants kd ( $\theta$ re) and kq ( $\theta$ re), where  $\theta$ re is the electrical rotor precise position. At that point, they are hidden away a look-into table for electromagnetic torque estimation.

The electromagnetic torque Tem estimation calculation can be determined for a reasonable framework in dq reference outline by comparing the electrical power consumed by the engine to the mechanical power delivered ( $Pi = Pm = Tem\omega m$ ) as pursues:

$$T_{\rm em} = \frac{3P}{4\omega_{re}} (e_q(\theta_{re})i^r_{qs} + e_d(\theta_{re})i^r_{ds})$$
$$= \frac{3P}{4} (k_q(\theta_{re})i^r_{qs} + k_d(\theta_{re})i^r_{ds}) \quad (7)$$

Where P is the quantity of shafts,  $\omega re$  is the electrical rotor speed, eq ( $\theta e$ ) and ed ( $\theta e$ ), irqs and irds, kq ( $\theta e$ ), and kd ( $\theta e$ ) are the dqaxes back EMFs, flows, and back EMF constants as indicated by the electrical rotor position, individually.

# Control of Stator Flux Linkage Amplitude

Since BLDC engine does not have sinusoidal back EMF, the stator motion direction isn't in PMSM,

$$\varphi_{s\infty} = V_{s\infty} t - R_s \int i_{s\infty} dt + \varphi_{s\infty}(0)$$

$$\varphi_{s\beta} = V_{s\beta} t R_s \int i_{s\beta} dt + \varphi_{s\beta}(0)$$

where  $\phi s\alpha$  (0) and  $\phi s\beta$  (0) are the underlying stator transition linkages at the moment of exchanging. On the off chance that the line-to-line back EMF consistent kLL is generally known, and let say the rotor is conveyed to zero position (stage an), underlying stator motion linkages at startup can be gotten by incorporating the back EMF in which the perfect trapezoidal is accepted. It is progressively similar to a decagonal shape as appeared in Fig. 2. Thusly, in this investigation, rather than  $|\phi s|$  itself its sufficiency is by implication controlled by d-pivot current. In the consistent torque area, irds is controlled as zero, and in the motion debilitating district it is diminished for a specific sum contingent upon the operational speed to accomplish greatest torque. Therefore, in this examination, stator transition linkage abundancy in a roundabout way kept at its ideal dimension, while the engine speed is exactly the base speed. not The exchanging table for controlling both the plentifulness and turning heading of the stator transition linkage is given in Table I. where the yield of the torque hysteresis comparator is meant as  $\tau$ , the yield of the motion hysteresis comparator as  $\phi$ , and the transition linkage area is signified as  $\theta$ .





Fig. 2. Dodecagon trajectory of stator flux linkage in the stationary  $\alpha\beta$ -plane.

The greatest sufficiency of the stator transition linkage reference approximated as  $2kLL\pi/(3\sqrt{3})$  is set for the limiter when the engine speed is not exactly the base speed. On the off chance that the engine works in the transition debilitating locale, the limiter esteem ought to be chosen

legitimately, yet this isn't in the extent of this paper.

$$\theta_{re} = \tan^{-1} \left( \frac{\varphi_{s\beta} - L_s l_{s\beta}}{\varphi_{s\alpha} - L_s l_{s\alpha}} \right)$$
<sup>(9)</sup>

TABLE I SWITCHING TABLE FOR DTC OF BLDC MOTOR USING THREE-PHASE CONDUCTION

| φ              | τ           | θ                    |                      |                      |                      |                      |                             |
|----------------|-------------|----------------------|----------------------|----------------------|----------------------|----------------------|-----------------------------|
|                |             | $\theta(1)$          | $\theta(2)$          | θ(3)                 | θ(4)                 | θ(5)                 | θ(6)                        |
| <i>φ</i> = 1   | $\tau = 1$  | V <sub>2</sub> (110) | V <sub>3</sub> (010) | V <sub>4</sub> (011) | V <sub>5</sub> (001) | V <sub>6</sub> (101) | V <sub>1</sub> (100)        |
|                | $\tau = -1$ | V <sub>6</sub> (101) | V <sub>1</sub> (100) | V <sub>2</sub> (110) | V <sub>3</sub> (010) | V <sub>4</sub> (011) | V <sub>5</sub> (001)        |
| φ = <b>-</b> 1 | $\tau = 1$  | V <sub>3</sub> (010) | V <sub>4</sub> (011) | V <sub>5</sub> (001) | V <sub>6</sub> (101) | V <sub>1</sub> (100) | V <sub>2</sub> (110)        |
|                | $\tau = -1$ | V <sub>5</sub> (001) | V <sub>6</sub> (101) | V <sub>1</sub> (100) | V <sub>2</sub> (110) | V <sub>3</sub> (010) | <b>V</b> <sub>4</sub> (011) |

#### RESULTS

The torque reference is changed suddenly from 0.52 to 0.65 N·m at 0.65 s. It is found

in Fig. 7(a) (top) that quick torque reaction is acquired and the evaluated torque tracks the reference torque intently.



Fig. 7. Steady state and transient behavior of the experimental. (a) (Top) estimated electromagnetic torque, (bottom) error between reference and estimated electromagnetic torque. (b) (Top) q-axis stator current and d-axis stator current and (bottom) ba-ca frame currents when  $i_{ds}^{r*} = 0$  under 0.5 N·m load torque.

The torque fault among reference and evaluated electromechanical torque is appeared in Fig. 7(a). The high recurrence swells saw in the torque and current can be limited by appropriately choosing the dcconnect voltage and torque hysteresis band measure. q-and d-pivot flows utilized in (11) are outlined in Fig. 7 (b), individually, under 0.5 N•m stack torque. At 0.65 seconds the torque reference is expanded and the adjustment in the q-pivot outline current is noted in Fig. 7(b) (top). In the equivalent figurethe q pivot current vacillates around a dc counterbalance to acquire smooth electromagnetic torque. It is found in Fig. 7(b) (top) that the daxis current wavers around the ideal zero reference esteem, which implies that the stator transition sufficiency breaks even with the magnet motion. It is found in Fig. 8 that the abundancy of the stator transition linkage, which is the sufficiency of the magnet motion linkage, is by implication controlled great at its required an incentive in the steady torque locale.

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Fig. 8. Experimental indirectly controlled stator flux linkage trajectory under the sensorless three-phase conduction DTC of a BLDC motor drive when  $i_{ds}^{r*} = 0$  at 0.5 N·m load torque.

Genuine and assessed electrical rotor positions are appeared in Fig. 9(a) (through and through), separately. The exploratory assessed electrical rotor position is equipped for following the genuine position great. Generally, the blunder is very insignificant. The ideal speed is dropped from 540 electrical rad/s to 513.5 electrical rad/s and motions in speed and torque are watched. This outcome demonstrates that the ideal torque must be gotten at lower speed when motion isn't debilitated.

#### CONCLUSION

Research shows the customary DTC utilized for sinusoidal air conditioning engines where both torque and transition are controlled, at the same time. This system gives positive circumstance of the conventional DTC, for instance, torque response appeared differently in relation to vector control, ease.

# APPENDIX

| Symbol        | Quantity   | Value   |
|---------------|--|---------|
| Р             | Number of poles                                  | 4       |
| $V_{LL}$      | Maximum line-to-line voltage (V <sub>rms</sub> ) | 115     |
| $I_{pk}$      | Maximum peak current (A)                         | 24      |
| Irated        | Rated current (A)                                | 5.6     |
| $T_{rated}$   | Rated torque $(N \cdot m)$                       | 1.28352 |
| $L_s$         | Winding inductance (mH)                          | 1.4     |
| M             | Mutual inductance (mH)                           | 0.3125  |
| $R_s$         | Winding resistance (ohm)                         | 0.315   |
| $\lambda_{f}$ | Rotor magnetic flux linkage (Wb)                 | 0.1146  |

# SPECIFICATIONS AND PARAMETERS OF THE BLDC MOTOR



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