Union College Union | Digital Works

Student Work **Honors Theses**

6-1949

Viscosity-Temperature Relations of Naphthalene in Benzene

Leighton Hartwell Peebles Jr. Union College - Schenectady, NY

Follow this and additional works at: https://digitalworks.union.edu/theses



Part of the Chemistry Commons

Recommended Citation

Peebles, Leighton Hartwell Jr., "Viscosity-Temperature Relations of Naphthalene in Benzene" (1949). Honors Theses. 2122. https://digitalworks.union.edu/theses/2122

This Open Access is brought to you for free and open access by the Student Work at Union | Digital Works. It has been accepted for inclusion in Honors Theses by an authorized administrator of Union | Digital Works. For more information, please contact digitalworks@union.edu.

VISCOSITY-TEMPRHATURE RELATIONS OF NAPHTHALENE IN BRNCENE

by

Loighton Hartwell Peebles, Jr.

A thesis presented to the Department of Chemistry of Union College in partial fulfillment of the requirements for the degree of Bachelor of Science in Chemistry.

Lughton H.Pables, fr.

Approved by Charles B. Sturd

May 26, 1949

homedy Deans

Introduction

A study was made of multi-bensene ring compounds dissolved in bensene in order to discover any relationship between viscosity, density, and temperature. However, as there was insufficient time, only solutions of naphthalene dissolved in bensene were studied.

Historical

formed by many workers, with many resultant equations for the viscosities. Viscosity has been used for the determination of high molecular weights and for the analysis of petroleums. Aqueous solutions have been thoroughly studied with respect to viscosity, but there remains a lot of work to be done in non-aqueous solutions. The change in viscosity with members of a family has also been studied, but not with binary solutions."

Apparatus

The densities of the solutions were determined by measuring the volumes of weighed samples in a dilatometer. A water filled electrically controlled, electrically heated thermostat was used. The temperature variations in the bath were ± 0.02°C. at each temperature. These fluctuations caused no measurable

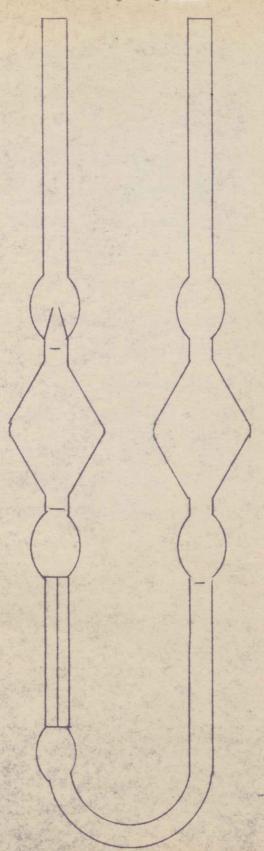
variation in the volume. The temperature was read on a calibrated will Corporation thermometer to O.Ol° by a magnifier.

tube to a cylindrical bulb with a capacity of approximately 24 ml. The volume could be read to an accuracy of ± 0.001 ml. Standard methods of weighing the sample and calibrating the dilatometer with distilled water were used. The dilatometer was calibrated to ± 0.002ml, at each temperature used, and the final calculated densities were ± 0.0002, or two parts in 10,000.

The viscosities were determined by the method of Bingham. See Fig. I. The pipette used was calibrated by standard liquids from the Bureau of Standards by the General Electric Company and was checked by me with bensene. The values obtained fell between values previously reported. The formula used was:

The constants were C = 9.010 x 10°5, C' = 1.43. Where "p" is the density; "p" is the pressure or height of water in centimeters corrected to 25° read as hydrostatic pressure on a metal scale; and "t" is the time in seconds measured by an electric timer. The pressure was obtained from a laboratory mir line and stored in a large tank sufficiently lagged to prevent sudden pressure drops due to thermal change. Stopcocks were arranged so that pressure could be applied to one side of the pipette while the other was open to the atmosphere. All determinations required the liquid to flow first down the left hand side, then down the right hand side of the viscometer. Each

Fig. I
Viscosity Pipette



determination was checked immediately and the largest variation between two runs was twelve parts in 10,000 and the average deviation was about seven parts in 10,000. The thermostat previously described was used.

It was found that if the time was not long enough during a viscosity determination, the calculated results did not check if the pressure was veried, temperature being held constant, as the estimate of error due to time was too high. Time used for all determinations was over 400 seconds, preferably around 500 seconds. It was also found that the apparatus could not be operated on a windy day as the manometer was open to atmospheric pressure which would change. Also as the equipment was in a small room, all doors in the room and in ajoining rooms had to be kept open as the closing of a door would cause a pressure change. This probably had no effect on the results except that the manometer could not be read immediately after a pressure change as the water column vibrated. Fifteen minutes or longer was always allowed for the solutions to come to constant temperature when placed in the bath.

Purification of Materials

The bensene was purified by the method of Weiseberger'by drying reagent thiophene-free bensene with sodium, then distilling from sodium. Resublimed naphthalene was crystallised twice from absolute methyl alcohol. Its melting point was 79.5°

to 80.5°.

Preparation of Solutions

Solutions were prepared by weight in narrow monthed, glass stoppered bottles. The empty bottle was weighed and weighed again after receiving a roughly weighed sample of maphthalene. A third weight was taken after the benzene was admitted. Weights were corrected to vaccum.

The solutions evaporated somewhat from the dilatometer as some time usually passed between determinations, so the amount of naphthalene in the dilatometer was calculated and assumed to remain constant and the dilatometer was weighed before and after each determination.

Experimental Results

Table I

Viscosities of bensene-nephthelene solutions in centipoises Concentration expressed in per cent by weight of naphthalene

•0	0%	9.974%	20.106%	35,441%
25	*6041	.6668	.7436	.8648
30	.5633	.6215	-6905	.7982
35	.5267	.5798	.6419	.7417
40	•4936	.5415	.5997	.6903
45	.4648	.5095	.5626	-64.56
50	.4 369	.4798	.5285	•6064

Table II

Densities of Denseme-naphthelene solutions. Concentration expressed as per cent by weight of naphthelene.

•0	cone.	dens.	come.	dene.	cono.	dens.	cono.	denn.
20	0	.8730	9,974	.0867	80.223	.9011	35.441	.9198
30	0	.8678	9.974	.8818	20.121	.0950	35,444	.9149
35	0	.8684	9.974	.8764	80.188	.8907	55,445	.0099
40	0	.0589	9,974	.0710	20.123	.8054	33,486	.9049
4.0	0	.0815	9.074	.8657	20.109	.8808	33.484	.9001
50	0	.84.60	9.974	*880E	20.106	.8758	33,405	.0951

Discussion of Results

The densities were plotted as isotherms against concentration (Fig. II) on large coordinate paper and found to be linear within experimental error. In Table III are the constants for the variation of density of pure bensene with temperature using the equation:

$$d_{\xi} = d_{25} + a(t - 25) + b(t - 25)^2 + a(t - 25)^5$$
 (2)

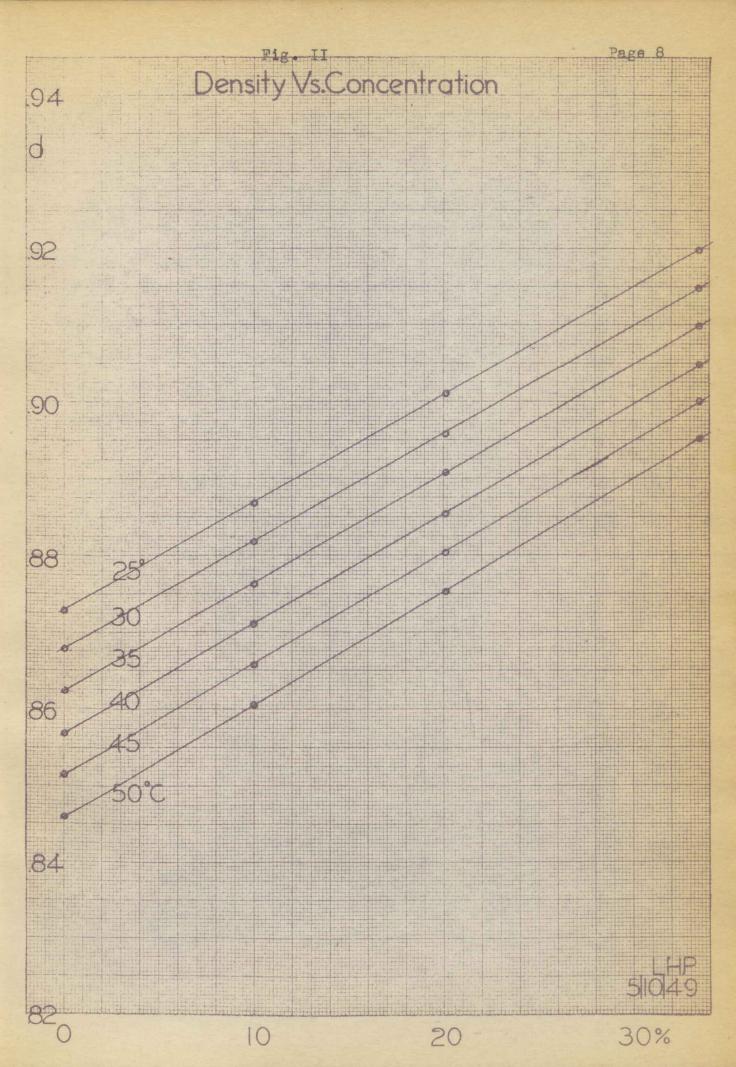
d₂₅ = .0730

a = -1.045 × 10-5

 $b = -1.082 \times 10^{-6}$

0 = +2.095 × 10-8

where "d" is the density and "t" is degrees Centigrade. These values are good to one part in 10,000.



The variation of density with concentration follows the equation: $\hat{a}_{o} = mC + \hat{a}_{b}$ (3)

where "de" is the density at a given concentration and temperature; "m" is the slope of the line; "C" is the concentration in per cent by weight; and "dt" as determined by Equation (2). "m" and "dt" were determined by the method of least squares and "dt" was generally 0.0001 unit less than those given in Table II. The slope of the lines increased gradually as shown by the increase in "m".

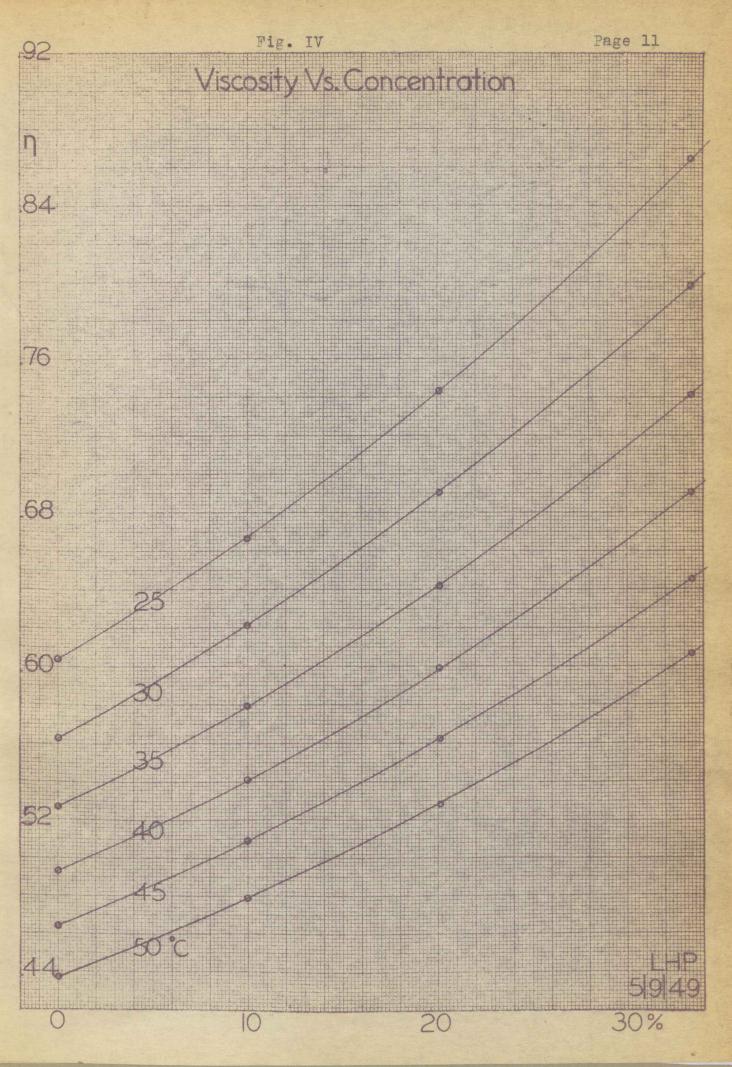
Table IV Constants of Equation (3)

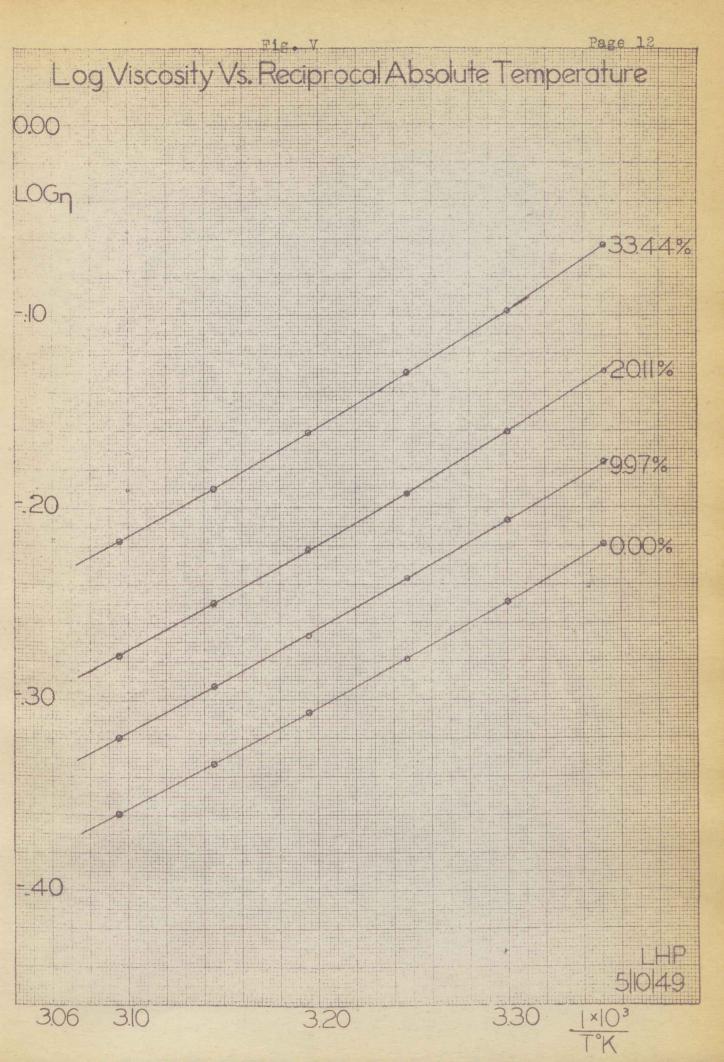
"d_t" as determined by method of least squares, "d_q" from Table
II, and "d_t" from Equation (8).

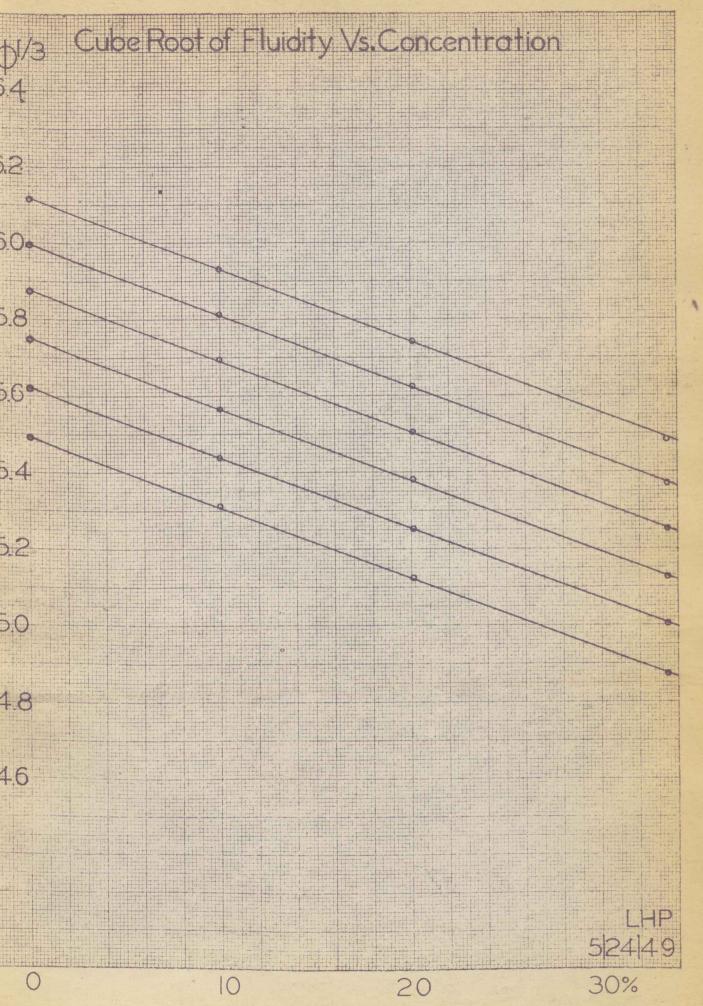
*				
•0	đ _t	d.	at'	m
25	.8729	.0730	.8730	1.40
30	.8677	.8678	.8678	1.41
55	.8683	*8624	.8686	1.48
40	.8568	*8569	.8570	1.43
45	.8615	.8515	.8516	1,45
50	.8459	.8460	.8460	1.46

Equation (3) in conjunction with Table IV and Equation (2) gives values good to six parts in 10,000.

The viscosity data were plotted in four ways: Viscosity against Temperature (Fig. III); Viscosity isotherms against concentration in per cent by weight (Fig. IV); Logarithm of Viscosity against Reciprocal Absolute Temperature (Fig. V); and the







Cabe Root of Fluidity or Reciprocal Viscosity expressed in poises against Concentration expressed as per cent by weight (Fig. VI).

The log of viscosity against 1/T°E (Fig. V) was plotted on large coordinate paper and found not to be linear, but with a slight curvature. This curvature prevents the use of the equation:

$$\log \eta = B/2 + A \tag{4}$$

or the more recent formulas?

$$\log \eta = 41/2.30 32 + A$$
 (5)

where Q, is called the energy of activation of viscous flow. The curves would probably obey the equation:

$$\log \eta = 2 \sqrt{8.30} \text{ RP} + A + OP$$
 (6)

This indicates that Q is not a constant but increases slightly with an increase in temperature. The energy of activation of of viscous flow can be determined by finding the constants of Equation (6) and taking the derivative dy/dT, substituting in T and multiphying by +2.30 R where "R" is the molar gas constant expressed in colories. All concentrations including pure bensone should non-linearity, whereas most liquids when plotted in this manner do obey Equations (4) and (5).

In (Fig. III), viscosity against temperature, the curve for pure bensone did not follow the equations of Patschinski or any of those reviewed and postulated by Bingham. The ourve does follow the equation:

$$\gamma = a + bt + ot^2 + at^3
 \tag{7}$$

Table V

Constants for Equation (7)

a = +.9006

b = -1.559 x 10-2

0 = +1.787 x 10-4

d = -9.888 x 10-7

the constant "a" would probably be the viscosity of bensene at O'C if its freezing point were below zero. This is in fair agreement with the value .9002 cp. previously reported, the calculated value for bensene at zero. The value for undercooled bensene given by Thorpe and Rodgers in 1894 at zero degrees is .906 cp.8

Equation (7) deviates from the data as the temperature increases and at 50°C is good to 14 parts in 10,000. The maximum possible error for bensene is ±0.0004 cp. at 25°C or seven parts in 10,000.

Lautie said that ideal binary mixtures indicate that the cube root of fluidity (reciprocal viscosity in poises) can be expressed as a linear function of the mol ratio. This was found not to be true but it is a linear function if the concentration is expressed as per cent by weight:

$$\phi_0^{1/3} = mc + \phi_{\xi}^{1/3}$$
 (8)

where " ϕ_0 " is the fluidity at a given concentration and temperature; "m" is the slope of the line; "C" is the concentration in per cent by weight of naphthalene; and " ϕ_t " is the fluidity. $1/(\eta \times 10^{-2})$, of pure bensene, as determined by Equation (7).

The constants "m" and " $\phi_t^{1/3}$ " were determined by the method of least squares.

Inble VI

Constants of Equation (8)

" $\psi_{\xi}^{1/3}$ " determined by the method of least squares, " $\psi_{\xi}^{1/3}$ " calculated from Table I, " $\psi_{\xi}^{1/3}$ " calculated from Equation (7).

00	φ 2 /8	φ2/3°	φ3/3**	
25	5.494	5.491	5.491	-1.85
80	5.621	5.620	5.420	-1.84
35	5.750	5.748	5.748	-1.85
40	6.876	5.873	- 5.876	-1.86
45	5.997	5.994	5.997	-1.87
50	6.118	6.117	6.121	-1.89

The value for "m" at 25° has been checked and is correct. Exactly why the slope should change as it does is unknown.

It must be remembered when concidering ideal solutions, a liquid dissolved in a liquid, and a solid dissolved in a liquid are not quite the same because of the large difference in freezing points. Many formulas and theories have been suggested concerning the viscosity of binary liquids, taking into account factors such as association factor'; contraction or expansion in volume upon mixing'; change in density'; free space and ratio of apparent and actual molecular weights'; and barriers around molecules in the liquid' but most of these are concerned with functions of the viscosities or fluidities of the pure substances, and cannot be in this case.

Summery

From these data, I concluded that for ideal or near ideal solutions, the density can be expressed as a linear function of concentration in per cent by weight. The cube root of fluidity can be expressed as a linear function of concentration in per cent by weight. The energy of activation of viscous flow is not constant, but increases slightly with increase in temperature.

Bibliography

- Amis, Choppin, and Padgett. J. Am. Chem. Sec. <u>64</u> 1207-12
 (1942)
- 2. Datschinski. N. Physik. Chem. 84 543 (1915)
- 3. Bingham, "Fluidity and Plasticity" let ed., McGraw-Hill Book Co., New York, N.Y., Chap. V Fig. 29, p.76
- 4. ibid. Chap II
- 5. Chakrabertty, S.E., Froc. Hat'l. Acad. Sci. India 7 205-17 (1957)
- 6. Drücker, 2. Physik. Chem. 92 287 (1918)
- 7. Glasston, Laidler, and Eyring, "The Theory of Rate Processes"
 McGraw-Hill Book Co., New York, N.Y., 1941, p.493
- 8. Handbook of Chemistry and Physics, 29th ed., Chemical Rubber Fublishing Co., Cleveland, Chio 1945, p.1687
- 9. Higgins, J. Boo. Chem. Ind. 32 568 (1915)
- 10. International Gritical Rables, lat ed. McGraw-Hill Book Co.
 New York, H.Y., Vol. V, p.12
- 11. Hurd, C.B., J.Am Chem. Soc., 68 346 (1946)
- 12. Ishikawa, Bull. Chem. Soc. Japan, 4 5-15 (1929)
- 15. Lautie, Bull. Soc. Chem. 1946 168-71
- 14. Macleod, Trans. Paraday 300. 30 483 (1934)
- 16. Parshad, J. Chem. Phys. 16 152-3 (1946)
- 16. Weissberger and Proskauer, "Organic Solvente" Oxford Press,

Acknowledgments

I would like to express my thanks to the General Electric Company of Schenectady, New York and Br. Semany of the General Electric Company for lending me the equipment used in the viscosity determinations; To Dr. Charles B. Hurd, my research professor for the help and encouragement he has given throughout the year; And to Messieurs Swing, Merbrandson, Porter, Rudman, and Sheffer of the Chemistry Department Staff, without whose help this work would have been infinitely more difficult.

Lughton H: Publis h.