



# Optimizing High Speed and Power Carry Save Arithmetic Circuits Using RISC Processor

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**Abstract:** RISC refers to Reduced Instruction Set Computer. Which means the computer that consists of RISC processor contains reduced (simple) instructions for performing necessary and required operations. Any chip if considered as processor, it should have the capability of performing certain operations like arithmetic, logical, control and data transfer. For performing these operations, a processor should contain some major blocks as Control unit (CU), Flexible computational unit (FCU), Program counter (PC), Accumulator, Instruction register, Memory and additional logic.

RISC actually enhances the performance of processor by considering the factors like simple architecture construction and instruction set, easy instruction set for decoding and simplified control architecture. This paper proposes a simple 32 bit RISC processor by using Peres reversible logic gates, which is expected to reduce the size then the conventional architecture that is based on carry save logic adder approach. The synthesis and simulation is carried out using XILINX ISE 12.3i and HDL is developed using VHDL language.

**Key words:** RISC, Reversible Logic Gates, Carry Save Logic, XILINX.

## I. INTRODUCTION

The design of 32-bit RISC processor incorporates various design blocks like Flexible computational unit (FCU), Accumulator, Program Counter (PC), Instruction Register (IR), Memory, Control Unit (CU), and additional logic. The design incorporates some the following issues which are based on 32 bit data and 28 bit address. It Uses fixed instruction format of length 32 bit, Size of opcode is of 4 bit, handling 15 instructions, has 256 memory locations, 32-bit registers (IR, ACC), Implements 2-staged pipelining i.e overlaps of fetch and execute cycles, No interrupts and No conditional branches, Data that it handles is unsigned integer type.

The FCU performs both arithmetic and logical operations and as well as control of transfer instructions. It takes data and acc as inputs to generate output according to the opcode. An exclk is given as input for synchronization and the output is available at positive edge of the exclk. It performs arithmetic and logic instructions directly and control of transfer instructions are performed with the help of control and logic decoder.

The flexible computational unit (FCU) performs all arithmetic operations (addition, Subtraction, multiplication, and division) and logic operations. Logic operations test various conditions encountered during processing and allow for different actions to be taken based on the results. The data required to perform the arithmetic and logical functions are inputs from the designated CPU registers and operands. The FCU relies on basic items to perform its operations. These

include number systems, data routing circuits (adders/ subtractors), timing, instructions, operands, and registers.

The result of an FCU operation is always stored in accumulator at some specified time based on the control logic instruction and also the exclk. This output is again fed to FCU as input. If Reset =0, the output of accumulator is cleared to zero. When reset is high and load accumulator signal is set high, the output of the FCU is loaded in to the accumulator at the neg edge of the exclk. Used for writing data in to memory. When it is required to write data in to the memory, then necessary control signals are generated at the buffer. Buffer is used for achieving bi-directional operation of the data bus.

Multiplexer provides memory access to either IR (instruction register) or PC (program counter) based on Fetch signal. Memory has both data and instructions .In order to access both data and instructions through a single address port a multiplexer is needed. It selects address according to the fetch signal. If the fetch signal is high pcout is selected and irout is selected when fetch signal is low.

The program counter (PC) contains the address of the next instruction. The CPU fetches an instruction from memory, executes it and increments the content of PC. Thus in the next instruction cycle, it will fetch the next instruction of the program pointed out by the program counter. The instructions are executed sequentially unless an instruction changes the content of program counter.



In computing, **flexible computational unit (FCU)** is a digital circuit that performs arithmetic and logical operations. The FCU is a fundamental building block of the central processing unit (CPU) of a computer, and even the simplest microprocessors contain one for purposes such as maintaining timers. The processors found inside modern CPUs and graphics processing units accommodate very powerful and very complex FCUs; a single component may contain a number of FCUs. Mathematician John von Neumann proposed the FCU concept in 1945, when he wrote a report on the foundations for a new computer. An FCU must process numbers using the same format as the rest of the digital circuit. The format of modern processors is almost always the two's complement binary number representation. Early computers used a wide variety of number systems, including ones' complement, two's complement sign-magnitude format, and even true decimal systems, with ten tubes per digit.

FCUs for each one of these numeric systems had different designs, and that influenced the current preference for two's complement, as this is the representation that makes it easier for the FCUs to calculate additions and subtractions. The ones' complement and two's complement number systems allow for subtraction to be accomplished by adding the negative of a number in a very simple way which negates the need for specialized circuits to do subtraction; however, calculating the negative in two's complement requires adding a one to the low order bit and propagating the carry. An alternative way to do two's complement subtraction of  $A-B$  is to present a one to the carry input of the adder and use  $\neg B$  rather than  $B$  as the second input. Most of a processor's operations are performed by one or more FCUs. An FCU loads data from input registers, an external Control Unit then tells the FCU what operation to perform on that data, and then the FCU stores its result into an output register. The Control Unit is responsible for moving the processed data between these registers, FCU and memory.

Most FCUs can perform operations such as Bitwise logic operations (AND, NOT, OR, XOR), Integer arithmetic operations (addition, subtraction, and sometimes multiplication though this is more expensive), Bit-shifting operations (shifting or rotating a word by a specified number of bits to the left or right, with or without sign extension). Shifts can be seen as multiplications and divisions by a power of two.

Engineers can design an Flexible computational unit to calculate any operation. The more complex the operation, the more expensive the FCU is, the more space it uses in the processor, the more power it dissipates. Therefore, engineers compromise. They make the FCU powerful enough to make the

processor fast, but yet not so complex as to become prohibitive.

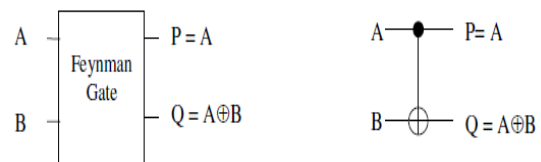
### III. REVERSIBLE LOGIC GATES

A reversible logic gate is an n-input n-output logic device with one-to-one mapping. This helps to determine the outputs from the inputs and also the inputs can be uniquely recovered from the outputs. Also in the synthesis of reversible circuits direct fan-out is not allowed as one-to-many concept is not reversible. A reversible circuit should be designed using minimum number of reversible logic gates. From the point of view of reversible circuit design, there are many parameters for determining the complexity and performance of circuits.

In this, an improved design of reversible multiplier with respect to its previous counterparts is proposed. Multiplier circuits play an important role in computational operation using computers. There are many arithmetic operations which are performed, on a computer FCU, through the use of multipliers. Design and implementation of digital circuits using reversible logic has attracted popularity to gain entry into the future computing technology.

#### Feynman Gate

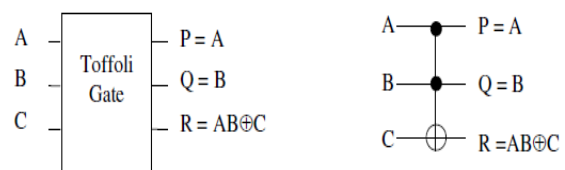
Figure 3 shows a 2\*2 Feynman gate . Quantum cost of a Feynman gate is 1. Feynman gate is called as Controlled NOT gate or CNOT gate. It is equivalent to single control input toffoli gate.



**Fig.3: feynman gate and its symbolic representation.**

#### Toffoli Gate

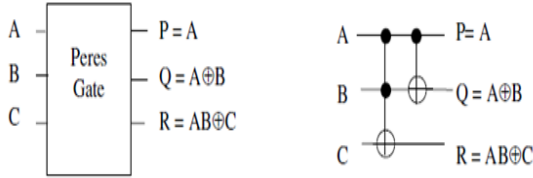
Figure 4 shows a 3\*3 Toffoli gate The input vector is  $I(A, B, C)$  and the output vector is  $O(P, Q, R)$ . The outputs are defined by  $P=A, Q=B, R=A(B \text{ xor } C)$ . Quantum cost of a Toffoli gate is 5. It has two control inputs.



**Fig.4: Toffoli gate and its symbolic representation.**

**Peres Gate:**

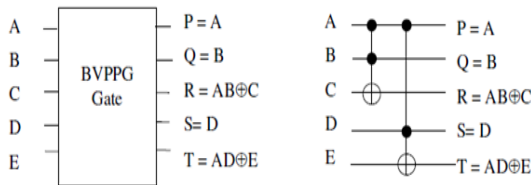
Figure 5 shows 3\*3 Peres gate. The input vector is I (A,B,C) and the output vector is O (P,Q,R). the output is defined by  $P=A$ ,  $Q=A \oplus B$  and  $R= A \& B \wedge C$ . quantum cost of a Peres is 4. It needs two Toffoli gates for its construction.



**Fig.5: Peres gate and its symbolic representation.**

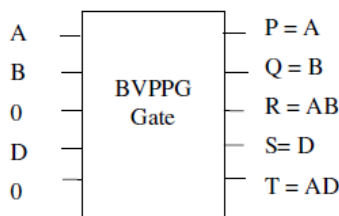
**BVPPG gate:**

BVPPG gate is a 5 \* 5 reversible gate and its logic diagram is as shown in figure 6. Its quantum cost is 10. Ffoli representation of the BVPPG gate is a shown.



**Fig.6: BVPPG gate and its symbolic representation.**

The BVPPG gate is used to construct the partial product generator which has resulted in least number of gates, least quantum cost and least number of garbage outputs. The two product terms are available at the outputs R and T of the BVPPG gate with C and E inputs constant at 0. The other outputs namely P, Q and S are used for fan-out of the multiplier operands as shown in figure. This reduces the number of external fan-out gates to zero in our design which is main design feature. The proposed design is compared with the existing designs



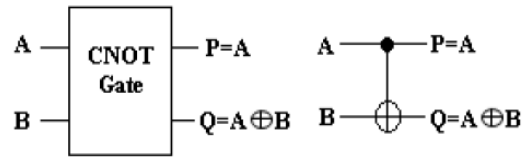
**Fig. 7: Producing product terms and duplication of the inputs**

**CNOT GATE**

CNOT gate is also known as controlled-not gate. It is a 2\*2 reversible gate. The CNOT gate can be described as:

$$I_v = (A, B) ; O_v = (P=A, Q= A \oplus B)$$

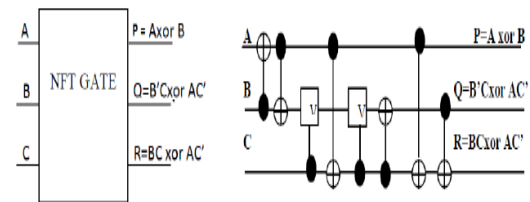
$I_v$  and  $O_v$  are input and output vectors respectively. Quantum cost of CNOT gate is 1. Figure shows a 2\*2 CNOT gate and its symbol.



**Fig.8: CNOT gate and its logic symbol.**

**NFT Gate:**

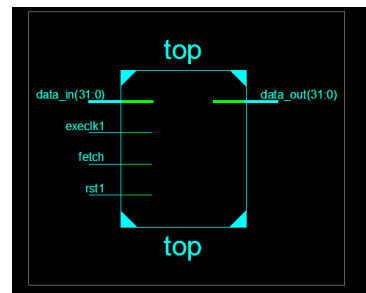
It is a 3x3 gate and its logic circuit and its quantum implementation is as shown in the figure. It has quantum cost five



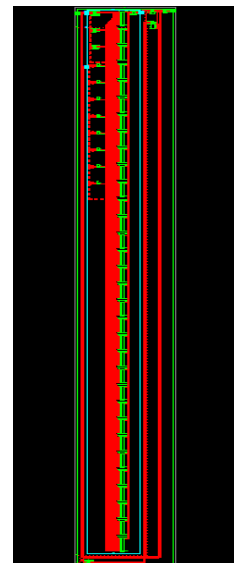
**Fig.9: NFT gate and its Logic symbol.**

**IV. RESULTS**

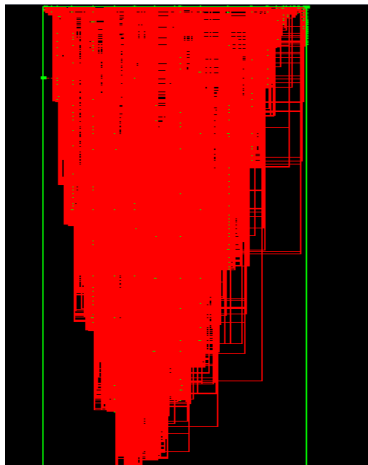
**RTL schematic**



**Internal architecture**



### Technological schematic



### V. CONCLUSION

RISC actually enhances the performance of processor by considering the factors like simple architecture construction and instruction set, easy instruction set for decoding and simplified control architecture. For performing these operations, this processor contain the major blocks as Control unit (CU), Flexible computational unit (FCU), Program counter (PC), Accumulator, Instruction register, Memory and additional logic. In the proposed design, the logic used is RCA with reversible logic gates which consumes less power 20.520 w and occupies less area 270 in terms of LUT's when compared with the existing carry save technique with a power consumption of 25.232 w and with area of 332 in terms of LUT's . The synthesis and simulation is carried out using XILINX ISE 12.3i and HDL is developed using VHDL language.

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