

1 **The use of a Lucas-Kanade based template tracking algorithm to examine in vivo**  
2 **tendon excursion during voluntary contraction using ultrasonography**

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27 **Abstract**

28 Ultrasound imaging can be used to study tendon movement during muscle contraction to  
29 estimate tendon force-length relationship in vivo. Traditionally, such tendon displacement  
30 measurements are conducted manually (time consuming and subjective). Here we evaluated a  
31 Lucas-Kanade based tracking algorithm with an optic flow extension that accounts for tendon  
32 movement characteristics between consecutive frames of an ultrasound image sequence.  
33 Eleven subjects performed 12 voluntary isometric plantarflexion contractions on a  
34 dynamometer. Simultaneously, the gastrocnemius medialis tendon was visualized via  
35 ultrasonography. Tendon displacement was estimated manually and by using two different  
36 automatic tracking algorithms. Maximal tendon elongation (manual:  $17.9\pm 0.3\text{mm}$ ; automatic:  
37  $17.0\pm 0.3\text{mm}$ ) and tendon stiffness ( $209\pm 4\text{N/mm}$ ;  $218\pm 5\text{N/mm}$ ) generated by the developed  
38 algorithm correlated with the manual method ( $0.87\leq R\leq 0.91$ ) with no differences between  
39 methods. Our results suggest that optical flow methods can potentially be used for automatic  
40 estimation of tendon movement during contraction in ultrasound images, which is further  
41 improved by adding a penalty function.

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43 **Key words:** Ultrasound, optical flow, automatic tracking, Achilles tendon, voluntary  
44 contraction, Lucas-Kanade

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## 50 **Introduction**

51 Analysis of human tendon length changes from ultrasound (US) images during maximal  
52 voluntary muscular contraction performed on a dynamometer is widely used, and has become  
53 highly popular, to assess the *in vivo* force-length-relationship of the tendon (Maganaris and  
54 Paul 2000; Arampatzis et al. 2005; Reeves et al. 2005). The benefits of the method are that it  
55 is non-invasive, affordable, easily applied and it tracks a quantity that is proposed as a  
56 surrogate measure of tendon mechanical properties. The application of the US method  
57 synchronously with force measurements has provided relevant information with respect to  
58 tendon injury, and tendon adaptive changes due to aging, disuse and various physical exercise  
59 interventions (Reeves et al. 2003, 2005; Arya and Kulig 2010; Karamanidis and Arampatzis  
60 2007; Arampatzis, et al. 2007).

61 Tendon length changes by US during muscular contraction is usually estimated by choosing a  
62 tissue landmark (e.g. myotendinous junction) and manually digitizing that landmark frame by  
63 frame from rest until maximal tendon force (Arampatzis et al. 2005; Arya and Kulig 2010).  
64 Manual tracking, however, may be time consuming and requires a lot of experience. An  
65 automated method for tracking tendon length changes from US images during voluntary  
66 contractions on dynamometric devices would provide a time-efficient means for assessing  
67 tendon elongation and the force-length relationship. Moreover, if tendon elongation could be  
68 accurately assessed during contraction, instead of post-measurement by manually digitizing a  
69 tissue landmark frame by frame, an immediate assessment of tendon mechanical properties  
70 would be possible. Once examined for its accuracy, such an analysis method would provide a  
71 time-efficient means for assessing human tendon stiffness *in vivo*, and could have significant  
72 applications in clinical and scientific settings.

73 Several attempts have recently been made to implement automated tracking by determination  
74 of the optical flow between successive US images (Lee et al. 2008; Korstanje et al. 2010;  
75 Pearson et al. 2013; Kim et al. 2011). Optical flow is defined as the distribution of apparent

76 velocities for individual pixels between two images (Horn and Schunck 1981). The Horn-  
77 Schunck algorithm is a global method determining the optical flow over the whole image  
78 frame. In our numerical experiments, we found that a regularization term controlling the  
79 smoothness leads to a considerable lag of the integrated optical flow behind manual tracking.  
80 However, a number of approaches have previously been taken in an attempt to automatically  
81 track tendon displacement (Lee et al. 2008; Korstanje et al. 2010; Pearson et al. 2013; Kim et  
82 al. 2011). Of these, only one study examined voluntary contractions and compared an  
83 automated tracking method using with manual measures of highly loaded *in vivo* tendon  
84 excursions (Pearson et al. 2013), revealing difference in the maximal elongation of the tendon  
85 between methods of  $\leq 0.81$  mm for a mean displacement value of about 16.5 mm. We base  
86 our approach on minimization of the sum of the squared differences between a template  
87 region and a warped image. This approach differs from Pearson et al. (2013) who used  
88 normalized cross correlations for automatic tracking of *in vivo* displacement of the tendon.  
89 While we allow linear-affine deformations such as rotational, shearing or scaling  
90 transformations of the matched regions, it seems that Pearson et al. used direct cross  
91 correlations of the matched regions. Allowing deformations makes our method suitable for the  
92 analysis of rather large frame-to-frame displacements and deformations, as well as for lower  
93 framerates. In that study (Pearson et al. 2013), only one subject was examined, thereby  
94 neglecting differences in image quality across subjects that will affect the ability of the  
95 algorithm to track the tendon accurately during loading. In addition, none appear to have  
96 examined whether the estimation of optical flow on an US video can be improved by  
97 adjusting the algorithm to the tendons highly coherent movement during loading.

98 Therefore, we aimed to develop a Lucas-Kanade optical flow based template tracking  
99 algorithm (Lucas and Kanade 1981) that eliminates any unwanted jumps in the tracking of the  
100 gastrocnemius medialis tendon ( $GM_{\text{tendon}}$ ) elongation during maximal voluntary isometric  
101 ankle plantar flexion contractions (MVIP) on a dynamometer. In addition, we aimed to

102 compare, in vivo, our discussed modified automated method with both the established manual  
103 method and the automated tracking method proposed by Schreiber (2007) in wide range of  
104 different US videos to examine the accuracy of our current tracking algorithm during MVIP.  
105 As direct measurement of human tendon elongation is not possible in vivo, automated  
106 tracking was compared with manual tracking in living subjects using the same US image  
107 sequences. We hypothesized that the developed tracking algorithm that takes into account the  
108 characteristics of the movement of the  $GM_{tendon}$  in US videos during MVIP will generate a  
109 higher agreement than the initial Lucas-Kanade based optical flow algorithm proposed by  
110 Schreiber (2007) when compared to the values assessed by the manual tracking method.

111

## 112 **Materials and Methods**

### 113 *Experimental setup and joint kinetics analysis*

114 Eleven healthy young male subjects (means and SD; age:  $28 \pm 6$  yrs.; body height:  $179 \pm 4$ cm;  
115 body mass:  $75.5 \pm 7.8$ kg) participated in the study. Approval was obtained from the  
116 university's committee for the protection of human subjects and informed consent was given  
117 by all subjects.

118 After warming up (combination of hopping and stretching for about 5 minutes to precondition  
119 the tendon), the subjects were seated on a custom built dynamometer with the shank  
120 perpendicular to the foot and the knee fully extended (neutral position; see Fig. 1). A custom  
121 made harness built from ski bindings was applied around the foot and the dynamometer foot  
122 plate to reduce any joint motion during contraction. All subjects had to perform 6 MVIP  
123 contractions during two different sessions on the dynamometer, using either the left or the  
124 right leg. The instructions given to the subjects were to produce maximal isometric force ramp  
125 contractions, gradually increasing the plantarflexion effort over 3-5 seconds (loading) and to  
126 hold the achieved moment about 2-3 seconds similar to methods reported in the literature  
127 (Arampatzis, et al. 2007; Karamanidis and Arampatzis 2007).

128 Fig. 1

129 The resultant moments at the ankle joint were calculated using inverse dynamics and the  
130 compensation of moments due to gravitational and compression forces was done for all  
131 subjects before each plantarflexion contraction (Arampatzis, et al. 2007; Karamanidis and  
132 Arampatzis 2007). To calculate the lever arm of the ground reaction force acting about the  
133 ankle joint during plantarflexion contractions, the point of force application under the foot  
134 was assessed via dynamometry (see Fig. 1). In order to do so, the reaction forces under the  
135 foot during contraction were determined by three strain gauge load cells fixed at predefined  
136 distances on the foot plate (100Hz; Fig 1). The axis of rotation of the ankle joint was defined  
137 by the midpoint of the line connecting both malleoli. Eight light-emitting diodes (LEDs) were  
138 used as active markers to examine kinematics (Fig. 1). Four active markers were placed on the  
139 lower extremity (head of the fibula, malleolus lateralis, malleolus medialis and calcaneus) and  
140 four markers were fixed on the force plate at predefined locations. A motion capture system  
141 consisting of two digital high-speed cameras (Basler, Germany, 15Hz) was used to record the  
142 markers. The 2D trajectories of the markers were automatically tracked frame by frame via a  
143 custom-made algorithm in MATLAB (The Mathworks, Inc, Massachusetts, U.S.A., ver.  
144 R2010b). Due to the slow limb motion during such isometric voluntary ramp contractions,  
145 kinematic data were collected with a relatively low sampling frequency aimed to further  
146 shorten the amount of post processing time duration by our developed automatic marker  
147 tracking algorithm.

148 Fig. 2

149 The elongation of the GM myotendinous junction during contraction (see Fig. 2) was visually  
150 reproduced using a 7.5 MHz linear array US probe (fixed linear array frequency) and stored  
151 on the US device at 73Hz (Aloka  $\alpha$ 7, Tokyo, Japan). The probe was fixed at the  
152 myotendinous junction in a longitudinal direction according to the literature (Karamanidis et  
153 al. 2014). The GM myotendinous junction and hence, most proximal part of the GM tendon,

154 which served as an anatomical marker, was identified for each individual before probe  
155 fixation by scanning the triceps surae muscle-tendon unit in the transversal plane. This  
156 procedure assured correct positioning of the probe for all subjects. Before probe fixation, an  
157 echo-absorptive marker was attached on the skin to act as a fixed reference from which  
158 manual and automatic measures of tendon elongation could be made, similar to previous  
159 works (Arampatzis et al. 2007; Karamanidis et al. 2014). From each subject, 12 US videos  
160 during MVIP were recorded, leading to a total of 132 US videos. In order to synchronize the  
161 different signals, two LEDs, a transistor-transistor logic (TTL) signal and an optical trigger on  
162 the US were used. All trigger signals were automatically identified using a custom-build  
163 semi-automatic analysis software in MATLAB. As a result, real-time synchronization of all  
164 signals was possible. The tracking of the length changes of the  $GM_{tendon}$  of all 132 US videos  
165 during the loading phase was performed both manually as well as by using two different  
166 automatic tracking algorithms: the Schreiber (2007) method and the current modified  
167 algorithm.

168 The start of the tendon tracking procedures were defined as when AT force was zero and  
169 ended when maximal tendon force was reached. AT force was calculated by dividing the  
170 ankle joint moment by the AT moment arm. The tendon moment arm was estimated for each  
171 individual by the perpendicular distance from the ankle joint centre of rotation (i.e. axis  
172 through the inferior tip of the medial and lateral malleoli) to the AT according to the method  
173 proposed by Scholz et al. (2008). Concerning tendon stiffness assessment for each tracking  
174 method, we used the method described previously (Karamanidis et al. 2014). Briefly, tendon  
175 elongation due to the inevitable ankle joint rotation during contraction (Magnusson et al.  
176 2001) was calculated using the tendon excursion method (An et al. 1983; Maganaris 2000) by  
177 multiplying the estimated moment arm with the ankle joint angular rotation during  
178 contraction. In this way, the actual tendon elongation due to the exerted tendon force could be  
179 estimated. The stiffness of the tendon was calculated as the ratio of the increase in the

180 calculated tendon force and the increase in the tendon elongation from 50 to 100% of the  
181 maximum tendon force (Karamanidis et al. 2014). Because the synchronization of all signals  
182 and the AT force calculation were accomplished in real-time, it was possible to perform the  
183 automatic US tracking procedure immediately after each measurement.

184

#### 185 *Manual tracking*

186 For the manual tendon tracking a custom image data processing software was developed in  
187 MATLAB. The investigator marked a muscle fascicle in every frame of the recorded US  
188 video at the intersection with the bottom aponeurosis close to the GM myotendinous junction  
189 and digitized the US videos frame by frame from rest until maximal tendon force (Fig. 2).  
190 This lead to one set of manually tracked data for each of the 132 US videos. All manual  
191 tracking analyses were performed by one highly experienced investigator, and the tracked  
192 landmarks on the US videos were checked again by two further investigators for each video  
193 frame by frame, who were blind to the previous results. This was done in order to check all  
194 manual digitized landmarks as carefully as possible. Scaling in pixels per millimeter was  
195 assessed via MATLAB (2014a) software using the known depth and width of field in the US  
196 images (depth: 1 mm = 11.29 pixels or 1 pixel = 0.088mm; width: 1 mm = 10.67 pixels or 1  
197 pixel = 0.094mm; US frequency: 7.5 MHz) as a calibration factor in the automated and  
198 manual tracking program to ensure equivalent pixel-to-millimeter ratios for all three tracking  
199 procedures.

200

#### 201 *Schreiber's Lucas-Kanade optical flow tracking algorithm*

202 Each US video was also automatically tracked using a Lucas-Kanade (Lucas and Kanade  
203 1981) based template tracking algorithm provided by Schreiber (2007) denoted here as the  
204 Schreiber algorithm. Using the notations of Baker and Matthews (2004), let  $I_n(\mathbf{x})$  stand for the  
205  $n^{\text{th}}$  image in a given video sequence, here  $\mathbf{x} = (x_1, x_2)$  are the pixel coordinates and  $n = 0, 1, 2, \dots$



206 . . . is the frame number. A subregion of the initial frame  $I_0(\mathbf{x})$  is extracted and becomes the  
 207 template  $T(\mathbf{x})$ . Let  $\mathbf{W}(\mathbf{x};\mathbf{p})$  denote the parameterized set of allowed deformations of the  
 208 template, where  $\mathbf{p} = (p_1, \dots, p_k)^T$  is a vector of parameters. The warp  $\mathbf{W}(\mathbf{x};\mathbf{p})$  takes the pixel  $\mathbf{x}$   
 209 in the coordinate frame of the template  $T(\mathbf{x})$  and maps it to a sub-pixel location,  $\mathbf{W}(\mathbf{x};\mathbf{p})$ , in  
 210 the coordinate frame of the image  $I_n(\mathbf{x})$ . Lastly we denote the robust weights per pixel, used  
 211 for tracking the template  $T_1(\mathbf{x}) = I_0(\mathbf{x})$  in image  $I_n(\mathbf{x})$ , by  $\omega_n(\mathbf{x})$ .

212 The equation of the warp can be anything from a very simple translation  $\mathbf{W}(\mathbf{x};\mathbf{p}) =$   
 213  $(x_1 + p_1, x_2 + p_2)^T$ , if we have a planar non rotating object moving, to a complicated affine  
 214 or even non-linear transformation.

215 For a realistic map of the 3D movement of tendon we restrict ourselves to a set of affine  
 216 warps:

$$217 \quad \mathbf{W}(\mathbf{x}; \mathbf{p}) = \begin{pmatrix} (1 + p_1)x + p_3y + p_5 \\ p_2x + (1 + p_4)y + p_6 \end{pmatrix} = \begin{pmatrix} 1 + p_1 & p_3 & p_5 \\ p_2 & 1 + p_4 & p_6 \end{pmatrix} \begin{pmatrix} x \\ y \\ 1 \end{pmatrix} \quad (\text{Eq.1})$$

218  
 219 This parameterizes all possible linear-affine 2D transformations such as translations  
 220 (characterized by the parameters  $p_5, p_6$ ), rotations, shear and scaling transformations, and to  
 221 some extent can handle also the US specific problem of continuous 3D structures that enter or  
 222 leave the observed planar cross-section. For instance, the intersection of a three-dimensional  
 223 ball entering or leaving the plane would appear as a growing or shrinking circle that is locally  
 224 well described by an isotropic scaling transformation.

225 The only requirement for the set of warps is that they are differentiable with respect to the  
 226 warp parameters. Schreiber (2007) introduced an algorithm as an extension to the inverse  
 227 compositional algorithm that uses a fixed template. The goal of this was to find the best match  
 228 to the template in the subsequent frame, and update the template in every step. The initial  
 229 function that has to be minimized is:

230

$$\sum_x [I(\mathbf{W}(\mathbf{x}; \mathbf{p})) - T(\mathbf{x})]^2 \quad (\text{Eq.2})$$

231 where minimization of the above expression is performed with respect to  $p = (p_1, \dots, p_6)$ , and  
 232 the sum is performed over all the pixels of the template.

233 After a 1st order Taylor expansion on  $I(\mathbf{W}(\mathbf{x}; \mathbf{p}) + \Delta\mathbf{p})$ , and the introduction of robust  
 234 weights, the least squares solution is:

$$\Delta\mathbf{p} = H_s^{-1} \sum_{x \in T} \omega_n(\mathbf{x}) \left[ \nabla_T \frac{\partial \mathbf{W}}{\partial \mathbf{p}} \right] [I_n(\mathbf{W}(\mathbf{x}; \mathbf{p})) - T(\mathbf{x})] \quad (\text{Eq.3})$$

235

236 and the Hessian:

$$H_s = \sum_x \omega_n(\mathbf{x}) \left[ \nabla_T \frac{\partial \mathbf{W}}{\partial \mathbf{p}} \right]^T \left[ \nabla_T \frac{\partial \mathbf{W}}{\partial \mathbf{p}} \right] \quad (\text{Eq.4})$$

237 The robust weights are fixed, so the Hessian can be pre-computed.

238 Schreiber (2007) also uses a cumulative error function:

$$E_{n+1}(\mathbf{x}) = (1 - a) \cdot E_n(\mathbf{x}) + a \cdot f([I_n(\mathbf{W}(\mathbf{x}; \mathbf{p})) - T_1(\mathbf{x})]) \quad (\text{Eq.5})$$

239

240 where  $a$ , is an adaption rate parameter with a typical value of 0.1.

241 After calculating the cumulative error function, the robust weight are updated as  $\omega_{n-1}(\mathbf{x}) =$   
 242  $\eta(E_{n-1}(\mathbf{x}))$  where  $\eta$  is a robust estimator. We use the robust extension of the Lukas-Kanade  
 243 method by Schreiber (2007) as reference method for a comparison with our method described  
 244 below.

245

246 *Current modified Lucas-Kanade optical flow tracking algorithm*

247 The main obstacles of the automated tracking in US videos are the noise and the tissue  
 248 irregularities that frequently lead to clearly non-physiological jumps of the matched region  
 249 between two frames, since spurious correlations in the speckle noise patterns may dominate

250 over the real information. However, the motion of tendons during active contraction is always  
251 continuous, and allowing big jumps can only lead to errors in tracking. In order to overcome  
252 this problem, we introduced a penalty function that effectively confines the motion of the  
253 matched regions between two frames to physiologically accessible velocities.  
254 For the current work, we have chosen to track the US images with a Lucas-Kanade based  
255 template tracking algorithm. It is based on Schreiber's (2007) algorithm, with the addition of a  
256 jump penalty function. In order to penalize jumps over many pixels, a hyperbolic tangent  
257 function was inserted. The hyperbolic tangent function is differentiable, and at the same time  
258 can perform a penalization. The penalty function took the following form:

$$g(p) = \frac{\lambda}{2} \left( \tanh\left(\frac{p-d}{h}\right) + 1 \right) \quad (\text{Eq.6})$$

259 where  $p = \|\mathbf{p}\| := \sqrt{p_5^2 + p_6^2}$  is the size of the translation vector  $(p_5, p_6)^T$  in pixels. The  
260 parameter  $d$  can be interpreted as a soft threshold for the acceptable jump size (in pixels),  
261 while  $h$  is a width parameter controlling the width over which the penalty function varies  
262 from negligible to large values in the vicinity of  $d$ . After testing the method on several US  
263 video formats and qualities, the parameters were set to  $\lambda = 7, h = d = 5$ . With the choice  
264  $\lambda = 0$ , the penalty term is switched off, and the method reduces to the classical Lucas-Kanade  
265 method. The parameter  $h$  controls the smoothness of the threshold. The larger the values of  $h$ ,  
266 the smoother is the transition from 0 to the maximum value  $g(\infty) = \lambda$ . For  $h \rightarrow 0$ , the  
267 threshold becomes a step function.

268

269 Following the same steps as in the original Lucas-Kanade tracking algorithm, we want to  
270 minimize the expression:

$$\sum_x [I(\mathbf{W}(\mathbf{x}; \mathbf{p} + \Delta\mathbf{p})) - T(\mathbf{x})]^2 + [g(\|\mathbf{p} + \Delta\mathbf{p}\|)]^2 \quad (\text{Eq.7})$$

271

272 with respect to  $\Delta \mathbf{p}$ , and then update the parameters  $\mathbf{p}$  as  $\mathbf{p} + \Delta \mathbf{p}$  iteratively.

273

274 After performing a first order Taylor expansion the expression to be minimized becomes

275

$$\sum_x \left[ I(\mathbf{W}(\mathbf{x}; \mathbf{p})) + \nabla I \frac{\partial \mathbf{W}}{\partial \mathbf{p}} \Delta \mathbf{p} - T(\mathbf{x}) \right]^2 + \left[ g(\|\mathbf{p}\|) + \frac{\partial g}{\partial \mathbf{p}} \Delta \mathbf{p} \right]^2 \quad (\text{Eq.8})$$

276

277 Following Hager and Belhumeur (1998), it is assumed that the current estimates of the  
278 parameters are approximately correct:

279  $I(W(x; p)) \approx T(x)$  which after using the chain rules becomes:  $\nabla I \frac{\partial \mathbf{W}}{\partial \mathbf{x}} \approx \nabla T$ .

280 That turns the previous expression to

$$\sum_x \left[ I(\mathbf{W}(\mathbf{x}; \mathbf{p})) + \nabla T \left( \frac{\partial \mathbf{W}}{\partial \mathbf{x}} \right)^{-1} \frac{\partial \mathbf{W}}{\partial \mathbf{p}} \Delta \mathbf{p} - T(x) \right]^2 + \left[ g(\|\mathbf{p}\|) + \frac{\partial g}{\partial \mathbf{p}} \Delta \mathbf{p} \right]^2 \quad (\text{Eq.9})$$

281

282 where:

$$\left( \frac{\partial \mathbf{W}}{\partial \mathbf{x}} \right)^{-1} = \begin{pmatrix} 1 + p_1 & p_3 - 1 \\ p_2 & 1 + p_4 \end{pmatrix}^{-1} = \frac{1}{(1 + p_1)(1 + p_4) - p_2 p_3} \begin{pmatrix} 1 + p_4 & -p_3 \\ -p_2 & 1 + p_1 \end{pmatrix} \quad (\text{Eq.10})$$

283

284 and

$$\left( \frac{\partial \mathbf{W}}{\partial \mathbf{x}} \right)^{-1} \frac{\partial \mathbf{W}}{\partial \mathbf{p}} = \frac{1}{(1 + p_1)(1 + p_4) - p_2 p_3} \begin{pmatrix} x & 0 & y & 0 & 1 & 0 \\ 0 & x & 0 & y & 0 & 1 \end{pmatrix} \times$$

$$\times \begin{pmatrix} 1 + p_4 & -p_3 & 0 & 0 & 0 & 0 \\ -p_2 & 1 + p_1 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 + p_4 & -p_3 & 0 & 0 \\ 0 & 0 & -p_2 & 1 + p_1 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 + p_4 & -p_3 \\ 0 & 0 & 0 & 0 & -p_2 & 1 + p_1 \end{pmatrix} = \Gamma(\mathbf{x}) \Sigma(\mathbf{x}) \quad (\text{Eq.11})$$

285

286 The partial derivative of the expression in Eq. (9) with respect to  $\Delta \mathbf{p}$  is:

$$2 \sum_x [\nabla T \Gamma(\mathbf{x}) \Sigma(\mathbf{x})]^T [I(\mathbf{W}(\mathbf{x}; \mathbf{p})) + \nabla T \Gamma(\mathbf{x}) \Sigma(\mathbf{x}) \Delta \mathbf{p} - T(\mathbf{x})] \\ + 2 \left[ \frac{\partial g}{\partial \mathbf{p}} \right]^T \left[ g(\|\mathbf{p}\|) + \frac{\partial g}{\partial \mathbf{p}} \Delta \mathbf{p} \right] \quad (\text{Eq.12})$$

287

288 Setting the previous expression equal to zero and solving for  $\Delta \mathbf{p}$ , gives us the minimum  $\Delta \mathbf{p}$ .

$$\Delta \mathbf{p} = - \left( \sum_x [\nabla T \Gamma(\mathbf{x}) \Sigma(\mathbf{x})]^T [\nabla T \Gamma(\mathbf{x}) \Sigma(\mathbf{x})] + \left[ \frac{\partial g}{\partial \mathbf{p}} \right]^T \left[ \frac{\partial g}{\partial \mathbf{p}} \right] \right)^{-1} \\ \times \left( \sum_x [\nabla T \Gamma(\mathbf{x}) \Sigma(\mathbf{x})]^T [T(\mathbf{x}) - I(\mathbf{W}(\mathbf{x}; \mathbf{p}))] + \left[ \frac{\partial g}{\partial \mathbf{p}} \right]^T g \right) \quad (\text{Eq.13})$$

289 This leads to the following algorithm steps:

290

291 Pre-compute:

292 1. Evaluate  $\left[ \frac{\partial g}{\partial \mathbf{p}} \right]^T \left[ \frac{\partial g}{\partial \mathbf{p}} \right]$ ,  $\left[ \frac{\partial g}{\partial \mathbf{p}} \right]^T g$ ,  $\nabla T$ .

293 2. Evaluate  $\Gamma(\mathbf{x}) \Sigma(\mathbf{x})$

294 3. Compute the matrices  $[\nabla T \Gamma(\mathbf{x}) \Sigma(\mathbf{x})]$ ,  $[\nabla T \Gamma(\mathbf{x}) \Sigma(\mathbf{x})]^T$

295 4. Compute the matrix  $\left( \sum_x [\nabla T \Gamma(\mathbf{x}) \Sigma(\mathbf{x})]^T [\nabla T \Gamma(\mathbf{x}) \Sigma(\mathbf{x})] + \left[ \frac{\partial g}{\partial \mathbf{p}} \nabla g \right]^T \left[ \frac{\partial g}{\partial \mathbf{p}} \right] \right)^{-1}$

296

297 Iterate:

298 5. Warp  $I$ , with  $\mathbf{W}(\mathbf{x}; \mathbf{p})$  to compute  $I(\mathbf{W}(\mathbf{x}; \mathbf{p}))$

299 6. Compute the error image  $T(x) - I(\mathbf{W}(\mathbf{x}; \mathbf{p}))$

300 7. Compute  $\left( \sum_x [\nabla T \Gamma(\mathbf{x}) \Sigma(\mathbf{x})]^T [T(\mathbf{x}) - I(\mathbf{W}(\mathbf{x}; \mathbf{p}))] + \left[ \frac{\partial g}{\partial \mathbf{p}} \right]^T g \right)$

301 8. Compute

302

$$\Delta \mathbf{p} = - \left( \sum_x [\nabla T \Gamma(\mathbf{x}) \Sigma(\mathbf{x})]^T [\nabla T \Gamma(\mathbf{x}) \Sigma(\mathbf{x})] + \left[ \frac{\partial g}{\partial \mathbf{p}} \right]^T \left[ \frac{\partial g}{\partial \mathbf{p}} \right] \right)^{-1} \times \left( \sum_x [\nabla T \Gamma(\mathbf{x}) \Sigma(\mathbf{x})]^T [T(\mathbf{x}) - I(\mathbf{W}(\mathbf{x}; \mathbf{p}))] + \left[ \frac{\partial g}{\partial \mathbf{p}} \right]^T g \right) \quad (\text{Eq.14})$$

303        9. Update  $\mathbf{p} \leftarrow \mathbf{p} + \Delta \mathbf{p}$

304 All automatic tracking algorithms were implemented in MATLAB, along with a Graphic-  
305 User-Interface.

306

307 *Statistics*

308 In total, 132 different US videos of the GM<sub>tendon</sub> during the loading phase of a MVIP were  
309 recorded and analyzed using the three different tracking methods: manual tracking that we  
310 considered as our gold standard, and automatic tracking once with the earlier Schreiber (2007)  
311 Lucas-Kanade optical flow template tracking algorithm, and once with the modified Lucas-  
312 Kanade based algorithm developed for the purposes of this work. The entire curve of the  
313 excursion of the GM<sub>tendon</sub> during the loading phase, from rest until maximal tendon force, was  
314 considered for the comparison between the tracking methods. As a consequence, the same  
315 start and end US frame was used in each video for all three tracking methods. To determine  
316 the differences in absolute value between the three methods and to compare the entire curve  
317 of the excursion of the tendon, from rest until maximal tendon force, the root mean square  
318 error (RMSE) was used. The RMSE was estimated between all three data sets (manually  
319 tracked data vs. Schreiber's algorithm; manually tracked data vs. modified algorithm;  
320 Schreiber's algorithm vs. modified algorithm) as follows:

$$RMSE = \sqrt{\frac{\sum_{i=0}^n (x_i - y_i)^2}{n}},$$

321 where  $x_i$  is the elongation of the tendon in millimeters at the frame number  $i$  of a certain data  
322 set.  $y_i$ , is the elongation of the tendon in millimeters, at the frame number  $i$  of the same video  
323 of another data set, and  $n$  is the total amount of frames. Additionally, the mean jumps for  
324 every video were estimated for the two algorithms. The mean jumps were estimated from the  
325 following formula:

$$Mj = \sum_{i=0}^{n-1} \frac{\sqrt{(x_i - x_{i+1})^2}}{n}$$

326 Potential differences in the mean jumps between the initial and modified algorithm were  
327 examined by using a T-test for dependent samples. Furthermore, in order to determine the  
328 agreement between methods and examine any differences between the three tracking  
329 procedures with respect to the maximal  $GM_{\text{tendon}}$  elongation and tendon stiffness calculations,  
330 Bland-Altman plots (Bland and Altman 1999) and a one way analysis of variance (ANOVA),  
331 with the method as a factor, was used. Bonferoni's post-hoc comparison was performed when  
332 a significant main effect was detected. The level of significance was set at  $\alpha = 0.05$ . For both  
333 parameters, maximal  $GM_{\text{tendon}}$  elongation and tendon stiffness, the relationships between  
334 methods have been examined using a linear regression model. All results in the text and  
335 figures are presented as mean and standard error of mean. Furthermore, the range of the  
336 middle half of the scores (25th-75th percentile; interquartile range: IQR) was calculated for  
337 the analysed parameters and are provided in the text.

338 Fig. 3

339 Fig. 4

340 Fig. 5

341 Fig. 6

342

343 **Results**

344 Examination of the excursion of the  $GM_{\text{tendon}}$  during the loading phase (see for example Fig.  
345 3) revealed significantly lower mean jump values for the modified, in comparison to the  
346 automatic tracking algorithm ( $7.2 \pm 0.2$  mm vs.  $9.0 \pm 0.4$  mm per  $10^3$  frames;  $P < 0.05$ ) with a  
347 time period of interest for all 132 videos of  $6203 \pm 116$  ms (equal to  $453 \pm 9$  frames).  
348 Furthermore, the absolute RMSE in tendon excursion during the loading phase between  
349 methods was lowest for the comparison between the manual and the modified algorithm ( $1.4$   
350  $\pm 0.1$  mm) and highest between the manual and the Schreiber algorithm ( $2.0 \pm 0.2$  mm). For  
351 the comparison between the Schreiber algorithm and the modified algorithm, the RMSE in  
352 tendon excursion during loading was  $1.8 \pm 0.2$  mm. The tracked  $GM_{\text{tendon}}$  elongation assessed  
353 with manual and the two automated tracking algorithms during MVIP is provided in Fig. 4.  
354 Concerning the maximal  $GM_{\text{tendon}}$  elongation during MVIP, there was no statistically  
355 significant method effect (manual tracking:  $17.9 \pm 0.3$  mm; Schreiber algorithm:  $17.0 \pm 0.3$   
356 mm; modified algorithm:  $16.9 \pm 0.3$  mm; Fig. 4). However, there was a tendency ( $P = 0.054$ )  
357 for lower tendon elongation values for the manual compared to both automated tracking  
358 methods. The Bland-Altman plots in Fig. 5C and 5D reveal that the mean differences or bias  
359 between measurements (manual method - automatic method) was 1.0 mm and 0.9 mm for the  
360 Schreiber and modified algorithm respectively and the 95% confidence intervals indicated  
361 that the maximum difference to manual tracking are higher for the Schreiber algorithm (7.4  
362 mm) than for the modified algorithm (3.6 mm). Furthermore, the relationship between the  
363 three methods in maximal tendon elongation was significant ( $P < 0.05$ ), with higher  
364 correlation values between the modified and manual algorithms ( $R = 0.87$ ) than between the  
365 Schreiber and manual algorithms ( $R = 0.56$ ; see Fig. 5A and 5B). There were no significant  
366 differences in tendon stiffness values between the manual ( $209 \pm 4$  N/mm) and modified  
367 algorithms ( $218 \pm 5$  N/mm) and the bland-Altman plot indicated that the mean difference or  
368 bias (manual method - automatic method) was -10 N/mm and that within the 95% confidence  
369 limits, the difference does not exceed 47 N/mm (Fig. 6D). In contrast to this, there were



370 significantly ( $P < 0.05$ ) higher tendon stiffness values generated by the Schreiber algorithm  
371 ( $229 \pm 6$  N/mm) in comparison to the manual method, and the Bland-Altman plot indicated  
372 that the mean difference or bias between measures (manual method - automatic method) is -  
373 21 N/mm and that within the 95% confidence limits, the difference can reach values up to 106  
374 N/mm (Fig. 6C). As for the maximal  $GM_{\text{tendon}}$  during MVIP, the relationship between  
375 methods in tendon stiffness was significant ( $P < 0.05$ ) with higher correlation values between  
376 the modified and manual algorithms ( $R = 0.91$ ) than between the Schreiber and manual  
377 algorithms ( $R = 0.52$ ; Fig. 6A and 6B). The IQR of the measurements was smaller for the  
378 modified algorithm (maximal tendon elongation: 3.7 mm; tendon stiffness: 64 N/mm) than for  
379 the Schreiber algorithm (4.6 mm; 76 N/mm) and, hence, closer to the values of the manual  
380 method (3.5 mm; 54 N/mm). In the same manner, for the bias between measures (difference  
381 between manual and automatic method) IQR was smaller for the modified (1.8 mm; 23  
382 N/mm) than for the Schreiber algorithm (2.7 mm; 36 N/mm). Maximal calculated tendon  
383 force was on average  $3657 \pm 45$  N and ranged between 1190 and 4430 N for the analysed 132  
384 contraction trials.

385

## 386 **Discussion**

387 Although automatic tracking algorithms already exist (Lucas-Kanade 1981; Horn-Schunck  
388 1981; Schreiber 2007), and are quite successful when tracking solid objects in good lighting  
389 conditions (Schreiber 2007; Baker and Matthews 2004), the accuracy of tracking algorithms  
390 for US videos examining human tendon length changes in vivo has not been thoroughly  
391 examined during voluntary contractions. Therefore, the main aim of the present work was the  
392 development and examination of a Lucas-Kanade optical flow based template tracking  
393 algorithm that would track  $GM_{\text{tendon}}$  elongation from US images during MVIP.

394 One of the difficulties that optical flow algorithms have to overcome is the fact that the  
395 appearance of objects on a video does not stay the same throughout a frame set. Speckle noise

396 and violation of the constant intensity assumption add further difficulties to the estimation of  
397 optical flow in an US video. In the case of length changes of the  $GM_{\text{tendon}}$  during MVIP, it has  
398 to be kept in mind that the motion of the tendon of the US video is uniform and relatively  
399 slow. That led us to adding a jump penalty function to the algorithm, in order to eliminate any  
400 unwanted jumps in the tracking of the elongation of the  $GM_{\text{tendon}}$ . Our results clearly  
401 demonstrate that this was achieved, since the current developed algorithm executed a mean of  
402 72  $\mu\text{m}$  jumps per frame when examining all of the 132 US videos, while Schreiber's (2007)  
403 initial algorithm produced significantly higher values with a mean of 90  $\mu\text{m}$  jumps. Thus, our  
404 modified algorithm executed approximately 20% less jumps from frame to frame when  
405 examining  $GM_{\text{tendon}}$  elongation from US images during MVIP on a dynamometer, in  
406 comparison to the already existing Schreiber algorithm.

407 During an isometric ramp contraction, tendon elongation is uniform and slow and, hence, an  
408 algorithm that executes less jumps from frame to frame should be beneficial for following  
409 tendon excursion during loading more accurately. Accordingly, the RMSE of  $GM_{\text{tendon}}$   
410 excursion during the loading phase shows that the current developed algorithm was closer to  
411 manual tracking (on average: 1.4 mm), than the RMSE from the Schreiber (2.0 mm). An  
412 analysis of the entire curve of the tendon excusing during MVIP on a dynamometer is  
413 particularly important for the examination of the force-length relationship of the tendon in  
414 vivo. Regarding this issue, it was found that the use of the Schreiber algorithm to track AT  
415 length changes during MIVIP resulted in a significant overestimation in tendon stiffness  
416 values when compared to manual tracking ( $229 \pm 6 \text{ N/mm}$  vs.  $209 \pm 4 \text{ N/mm}$ ), with a bias  
417 between measures of -21 N/mm. In contrast to this, tendon stiffness values generated by the  
418 modified tracking algorithm were not significantly different to manual tracking ( $218 \pm 5$   
419 N/mm vs.  $209 \pm 4 \text{ N/mm}$ ). Moreover, there was a higher relationship in tendon stiffness  
420 between the modified algorithm and manual tracking ( $R = 0.91$ ) than between the Schreiber  
421 algorithm and manual tracking ( $R = 0.52$ ). Therefore, assuming that manual tracking is a valid

422 method to examine tendon length changes during MIVP, the results of the current study  
423 suggest that the proposed algorithm (the first to directly compare tendon stiffness values  
424 generated with automatic tracking) can improve the assessment of tendon mechanical  
425 properties with dynamometric devices when using optical flow tracking algorithms.

426 When normalizing the RMSE by the total tendon excursion one might argue that the ~7%  
427 error found for the modified algorithm in the current study is similar to the results provided by  
428 Lee et al. (2008), who used optical flow to assess the displacement of the  $GM_{tendon}$  by US  
429 during a passive ankle joint motion. The authors reported errors of 6-8% in tendon  
430 displacement during passive ankle joint angular rotation using a similar manual tracking  
431 method as a reference. However, a passive ankle joint motion reduces movement dynamics of  
432 the triceps surae muscle-tendon unit, whereas in a voluntary maximal contraction condition,  
433 used in the current study, errors will likely be larger due to the  $GM_{tendon}$  being dynamically  
434 stretched during loading, leading to some deformation and making automatic tracking more  
435 difficult. In line with this suggestion, Pearson et al. (2013) recently reported that the automatic  
436 tendon tracking error found in their study was about 1.6 times higher during active compared  
437 to passive tests.

438 The tests reported here are the first to directly compare automated tracking with manually  
439 measured  $GM_{tendon}$  excursion during maximally loaded voluntary contractions in a large  
440 number of different US videos and using different tracking algorithms. To our knowledge,  
441 only one previous study discussed comparisons of highly loaded in vivo tendon excursions  
442 using an automated tracking method and manual measures (Pearson et al. 2013). The authors  
443 reported absolute errors in maximal  $GM_{tendon}$  elongation of up to 0.81 mm, which is lower to  
444 that seen on average here (about 0.9 mm). However, it has to be noted, that in the current  
445 study we examined 132 different US videos from 11 subjects. In contrast Pearson et al. (2013)  
446 only analyzed one subject, thereby neglecting potential differences in image quality across

447 subjects that will affect the agreement or the ability of the algorithm to track regions  
448 effectively.

449 The Blant-Altman plots indicated that the mean differences in maximal  $GM_{\text{tendon}}$  elongation  
450 were only slightly lower for the current modified algorithm compared with the Schreiber  
451 algorithm and, therefore, it is reasonable to question whether the identified differences  
452 between our modified algorithm and Schreiber's algorithm is clinically or physiologically  
453 meaningful. However, the 95% confidence intervals indicated that the maximum differences  
454 to manual tracking are clearly higher for the Schreiber algorithm than for the modified  
455 algorithm (7.4 mm vs. 3.6 mm) with higher correlation values between the modified and  
456 manual algorithms ( $R = 0.87$ ) than between the Schreiber and manual algorithms ( $R = 0.56$ ).  
457 Moreover, our statistical test revealed higher tendon stiffness values for the Schreiber  
458 algorithm in comparison to the manual method with an average relative difference between  
459 methods of about 10%. In contrast, there was a higher agreement in tendon stiffness values  
460 between modified algorithm and manual tracking with an average relative difference between  
461 methods of about 5% and clearly lower difference in the 95% confidence (47 N/mm vs. 106  
462 N/mm). Moreover, the modified algorithm, as opposed to the Schreiber algorithm, had lower  
463 measurement variability and reduced variability in the error compared to the manual method,  
464 as demonstrated by the lower IQR (up to 37% reduction) in maximal tendon elongation and  
465 tendon stiffness, indicating increased method robustness. We believe that such improvements  
466 in the accuracy and robustness of the method in AT length-tension property assessment are  
467 relevant and should not be neglected. In particular, when monitoring the time course of  
468 tendon mechanical changes resulting from injury, maturation, aging and altered mechanical  
469 loading, the identification of small changes in tendon mechanical properties is relevant for  
470 clinical and scientific settings.

471 There were several methodological drawbacks to this work which need to be noted. The 132  
472 videos were captured as analog video and therefore, their qualities were influenced by

473 converting them to different formats. This process severely impacted the quality of the tendon  
474 tracking. While this procedure is generally used for studying tendon biomechanical properties  
475 in vivo (Reeves et al. 2005; Arampatzis et al. 2007; Arya and Kulig 2010; Lee et al. 2008),  
476 due to raw data not usually being available from commercial US devices, future studies could  
477 try to use and analyse the radio frequency data. Another consideration is that we did not  
478 precisely control the rate of torque development and/or the time to reach peak joint moment  
479 during each ankle plantarflexion contraction. As a consequence, the number of US frames  
480 analysed for all examined 132 US videos ranged between 231 (minimum) and 700  
481 (maximum) frames. However, as we used the same time region of interest for each video for  
482 all three methods, our main findings with respect to the comparison between tracking  
483 techniques will not be influenced. Fig. 3 shows that our method cannot eliminate noise-  
484 induced jumps completely, but it confines the jumps to a size controlled by the parameter  $d$   
485 that roughly describes the typical step size tolerated by the algorithm. In our case,  $d = 5$   
486 corresponds to a jump size of 5 pixels, or a displacement of approximately 0.5mm. Both  
487 automatic methods fluctuate around the results obtained using the manual tracking method,  
488 but the fluctuations in our penalty based method are considerably smaller. Finally, one might  
489 argue that the lack of a test-retest reproducibility analysis of the modified tracking data  
490 weakens the current study. It is important to note that the data reported in this work were  
491 assessed on two separate sessions for each individual, with 6 US videos (6 contractions) from  
492 each session, originally performed in order to examine the test-retest reliability of the  
493 generated tendon length changes. However, when using such an analysis of tendon length  
494 changes during maximal voluntary muscle contraction, day-to-day physiological variation in  
495 muscle and tendon properties prevents an accurate assessment of the methods'  
496 reproducibility. For this reason we decided not to include the test-retest session analysis and  
497 pooled all data together. That being said, the examination of the test-retest reproducibility in  
498 tendon stiffness generated by our modified tracking algorithm showed no significant

499 differences in tendon stiffness values between sessions (mean values session one:  $220 \pm 8$   
500 N/mm, range of data: 181 to 256 N/mm; session two:  $215 \pm 8$  N/mm, range: 183 to 258  
501 N/mm) and there was a significant correlation between the two sessions in tendon stiffness  
502 values with  $R = 0.91$  ( $P < 0.001$ ). Thus, we are confident that the modified tendon tracking  
503 algorithm is a valid measure of tendon length change and may be used to reliably examine  
504 Achilles tendon mechanical properties *in vivo*. Although not investigated, the current  
505 developed tracking algorithm is not restricted to a specific muscle-tendon unit and may, in the  
506 future, be applied to other tendons (e.g. quadriceps femoris tendon) in order to examine  
507 tendon and/or aponeurosis length changes during muscular contraction, as long as it is  
508 possible to identify a clear tissue landmark (e.g. myotendinous junction or the insertion of a  
509 fascicle into the aponeurosis).

510 In conclusion the results of this study suggest that the earlier Lucas-Kanade optical flow  
511 based template tracking algorithm proposed by Schreiber (2007) can be potentially used for  
512 non-subjective automatic estimation of the length changes of  $GM_{\text{tendon}}$  during MVIP in  
513 ultrasound images. However, adding a penalty function to the algorithm that eliminates  
514 unwanted jumps in the tracking of the elongation of the tendon can improve the estimation of  
515  $GM_{\text{tendon}}$  elongation during MVIP on a dynamometer and hence, the assessment of *in vivo*  
516 tendon mechanical properties when compared with the established manual method. Further  
517 development and testing of image processing prior to application of the tracking algorithm is  
518 recommended to further improve the accuracy of the algorithm to estimate *in vivo* tendon  
519 displacement during maximal voluntary muscle contractions.

520

#### 521 **Conflict of interest statement**

522 The authors have no conflicts of interest to report.

523

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622 **Figure Captions List**

623 **Fig. 1:** Schematic illustration of the experimental setup, including camera view (medial and  
624 lateral side) and the arrangement of the three strain gauge load cells fixed at predefined  
625 locations on the foot plate. The joint kinematic data in the sagittal plane and the force  
626 measurements were basically used to calculate the resultant ankle plantarflexion joint  
627 moments, and hence, tendon forces during contraction.

628

629 **Fig. 2:** Ultrasound images of the triceps surae muscle-tendon unit at rest (top) and at maximal  
630 gastrocnemius medialis tendon elongation (bottom) during the loading phase of a maximal  
631 ankle plantar flexion contraction. The red symbol represents the tracking node point.

632

633 **Fig. 3:** A typical trace of the gastrocnemius medialis tendon during a voluntary isometric  
634 ankle plantar flexion contraction on a dynamometer using the three methods (manual tracking,  
635 Schreiber's automatic tracking algorithm and the current modified tracking algorithm). The  
636 plot illustrates that our developed algorithm cannot eliminate noise-induced jumps  
637 completely, but it confines the jumps to a size controlled by the parameter  $d$  that roughly  
638 describes the typical step size tolerated by the algorithm. In our case,  $d = 5$  corresponds to a  
639 jump size of 5 pixels, or a displacement of approximately 0.5mm. Both automatic methods  
640 fluctuate around the results obtained using the manual tracking method, but the fluctuations in  
641 our penalty based method are considerably smaller. Please note that the subjects had to release  
642 their force after several seconds of holding the force at maximum and therefore, the tendon  
643 shortens again during the unloading phase ( $t > 6.5$  sec).

644

645 **Fig. 4:** Mean (and standard error of mean;  $n=132$ ) force-length relationship of the  
646 gastrocnemius medialis tendon from rest until maximal tendon force during voluntary  
647 isometric ankle plantar flexion contractions on a dynamometer estimated by the three

648 different tracking methods: manual tracking, the Schreiber's automatic tracking algorithm  
649 (Schreiber automatic) and the current modified Lucas-Kanade optical flow automatic tracking  
650 algorithm (Modified automatic) which was adapted to tendons' continuous and relatively slow  
651 movement characteristics by implementing a jump penalty function.

652

653 **Fig. 5:** Comparison of maximal gastrocnemius medialis tendon elongation during voluntary  
654 isometric ankle plantar flexion contractions on a dynamometer between tendon tracking  
655 methods. In the top two figures, the relationship between manual and the initial Schreiber's  
656 automatic tracking algorithm (A) and between manual tracking and the current modified  
657 automatic tracking algorithm (B) are presented. Bottom figures: In C (manual vs. Schreiber  
658 automatic tracking) and in D (manual vs. modified automatic tracking) the Bland-Altman  
659 plots showing the mean differences or bias between measures (manual method - automatic  
660 method) and 95% confidence limits. In total, 132 ultrasound videos were analyzed by the  
661 three methods.

662

663 **Fig. 6:** Comparisons of gastrocnemius medialis tendon stiffness values generated by the  
664 different tendon tracking methods. In the top two figures the relationship between manual and  
665 the initial Schreiber's automatic tracking algorithm (A) and between manual and the current  
666 modified automatic tracking algorithm (B) are presented. Bottom figures: In C (manual vs.  
667 Schreiber automatic tracking) and in D (manual vs. modified automatic tracking) the Bland-  
668 Altman plots showing the mean differences or bias between measures (manual method -  
669 automatic method) and 95% confidence limits. In total 132 ultrasound videos were analyzed  
670 by the three methods.