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Mechanical behaviour of pre-stressed spruce timber-timber 2.5-mm-step grooved connections under shearing tests

Stéphane Girardon¹ · Jean-François Bocquet²

Abstract A smart shear connection system was tested in order to be used in manufactured elements of a lattice of wooden slats and a cross offset. This type of floor element can present advantages both in terms of weight and suitable insulating filler (Adalberth et al. 2001; Kawasaki and Kawai 2006; Kermani and Hairstans 2006; Dodoo et al. 2014). This connection is made to provide a substitute for a glue connection. The shear connection proposed is made by double-sided grooving timber interfaces to form a cross section. A specifically designed test assembly was constructed to measure and guarantee homogeneous contact pressure in interface test specimens. Shear test results are presented and compared in terms of capacity and stiffness with glue connections. The principal conclusions are as follows: the allowable shearing resistance of the grooved timber-timber joints can approximately reach the resistance of glued connections. The stiffness of the joints is improved by increasing the pre-stress applied for holding contact in the assembly. The grooved timber-to-timber joints exhibit non-linear behaviour which dominates the behaviour of the whole system. Therefore, the behaviour of a unit connection must be determined to obtain the mean load-carrying capacity and stiffness of a system with grooved connections.

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1 Introduction

The focus of this study is the evaluation of a connection system for multilayer prefabricated elements used for floors and walls in timber hollow-box structures. These elements are used as a lightweight solution to provide high bending stiffness. Each slab is made up of alternating rows of wood and insulation. The number of slabs can be adjusted to use the right amount of wood according to target performance in terms of resistance, deflection, thermal or sound insulation. This system can offer high-performing building solutions (Resch 2009) and is environmentally friendly in that it increases recyclability and sustainability (Aye et al. 2012). In order to obtain a high bending stiffness, the connection system between the timber members must transfer shear forces effectively and must have high slip modulus and load capacity.

Structural glue or screw-gluing techniques are common and effective ways to connect element interfaces (Crocetti et al. 2010; Zarnani and Quenneville 2014). An example is shown in Fig. 1. However, the gluing process can be demanding in terms of equipment, preparation, and quality control. The assembly time of grooved multilayer elements can be reduced compared with gluing techniques as there is no need for curing. The grooved elements can be integrated into a fully automated production line. Therefore, shear connections made with grooves must be secured against separation forces by using fasteners like screws.

As a first step in development, this study presents an evaluation of the performance of grooves as shear connectors without holding fasteners. An experimental study is proposed in order to understand the behaviour of such connections and how it is affected by holding stress. Results of shear tests on different configurations are discussed.

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Fig. 1 Example of grooved connection which is maintained by 2 wood screws (Girardon 2014)

2 Materials and methods

An experimental shear test program was carried out at the laboratory of LERMaB (Laboratoire d'étude et de recherche sur le matériau bois) in France. Thirty five shear tests with three different pre-stressing conditions were performed.

2.1 Shear specimen

Test specimens were composed of two parts which are grooved (100×100 mm) on one side of the surface. The grooves are oriented along the slope of the grain to transmit force perpendicular to the slope of the grain. A first step is to characterise a simple interface with a unidirectional transmitting strength. This is to avoid complex interactions which could be difficult to evaluate without a basic understanding of elementary phenomena.

A saw-tooth shape was chosen over a square-tooth shape from a mechanical behaviour viewpoint, as the tension value for rupture of the cross section and the shear failure value are very weak. Indeed, a saw-tooth shape permits transmitting strength both by shearing and compression while a square-tooth shape transmits only shear loads (see Fig. 2).

Therefore, a saw-tooth-shaped interface was studied with a tooth pitch of 2.5 mm and a 60° tooth angle. Geometry of the tooth is presented in Fig. 3.

The test specimens were made from 4 French spruce (*Picea abies*) planks of cross section $32 \times 140 \text{ mm}^2$ and labelled C18 (NF-EN-338). Each plank was machined on four faces to a cross section of $24 \times 120 \text{ mm}^2$ and cut to a length of 5 m. The modulus of elasticity was then determined by the vibration method. Each plank was placed on two fixed supports separated by 4- m distance. An inductive accelerometer (HBM B12/500 model) was positioned

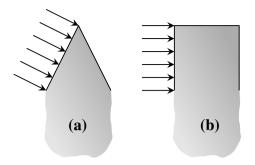


Fig. 2 Saw-tooth (a) and square-tooth (b) shapes; the principle of strength transmission

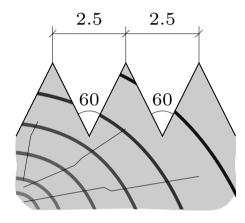


Fig. 3 Geometry of tooth grooves (2.5-mm step and 60° tooth angle)

at mid-span to measure the initial natural frequency. Acceleration was measured by a data logger (HBM Spider 8 and Catman software version 4.5r3). After frequency analysis, the modulus of elasticity was obtained from Eq. 1, where shearing is neglected (Girard and Roy 2003).

$$E = \frac{4f_1^2 \cdot \ell^4 \cdot m}{\pi^2 \cdot I} \tag{1}$$

With:

E : modulus of elasticity MPa f_1 : natural frequency Hz ℓ : span mm ℓ : linear density kg m⁻¹ ℓ : inertia mm⁴

Each plank was grooved in the grain direction and then machined to a width of 8 mm and cut to a length of 100 mm. Each element was weighted and paired off from different planks, so the test specimens of the connection came from different original lamellae. The moisture content was measured for each test specimen on the opposite face of the joint.

The mass and volume of the wood sample were corrected for an equivalent humidity of 12%. Table 1 shows

Table 1 Modulus of elasticity and density of the two elements composing the test piece

Piece	Density (kg m ⁻³)			MoE (MPa)		
	$\overline{ ho_{e1}}$	$ ho_{e2}$	$ ho_{ m mean}$	$\overline{E_{e1}}$	E_{e2}	E_{mean}
1	422.0	423.4	422.7	11,139	11,691	11,415
2	465.8	472.7	469.3	11,139	12,054	11,597
3	427.0	428.6	427.8	11,139	12,054	11,597
4	435.1	440.2	437.6	11,139	11,691	11,415
5	430.5	430.6	430.5	11,139	12,054	11,597
6	446.4	447.0	446.7	11,139	12,054	11,597
7	464.4	464.7	464.5	8350	12,054	10,202
8	477.3	482.1	479.7	8350	12,054	10,202
9	453.0	457.5	455.2	8350	12,054	10,202
10	494.4	515.0	504.7	8350	12,054	10,202
11	541.2	543.1	542.2	11,691	12,054	11,873
12	582.7	584.3	583.5	11,691	12,054	11,873
13	530.0	531.4	530.7	11,691	12,054	11,873
14	532.0	532.1	532.1	11,691	12,054	11,873
15	550.3	563.6	557.0	11,691	12,054	11,873
16	333.8	333.8	333.8	8350	11,633	9992
17	325.0	325.2	325.1	8350	10,006	9178
18	326.4	326.9	326.6	8350	10,006	9178
19	337.6	337.6	337.6	8350	11,633	9992
20	324.6	324.7	324.6	8350	10,006	9178
21	337.4	337.5	337.5	11,691	11,633	11,662
22	333.7	338.2	335.9	11,691	11,633	11,662
23	324.2	327.9	326.1	11,139	11,633	11,386
24	327.1	327.3	327.2	11,139	11,633	11,386
25	305.2	306.3	305.8	11,139	10,006	10,573
26	303.2	304.1	303.6	11,139	10,006	10,573
27	324.5	324.5	324.5	8350	11,633	9992
28	325.9	326.0	325.9	11,691	11,633	11,662
29	320.9	323.8	322.3	11,691	10,006	10,848
30	404.9	406.4	405.6	11,139	11,691	11,415
31	393.2	394.8	394.0	11,139	11,691	11,415
32	398.2	398.5	398.3	8350	11,691	10,020
33	382.2	382.7	382.5	11,691	11,691	11,691
34	396.0	396.0	396.0	11,691	11,691	11,691
35	395.0	395.9	395.5	11,691	11,691	11,691
36	392.2	397.4	394.8	11,691	11,691	11,691

the density and modulus of elasticity obtained for each part of the test specimens. The measured average density of the specimens was $405.8 \, \text{kg m}^{-3}$ (COV 7.41%). The measured modulus of elasticity of the specimens was 11,007 MPa (COV 7.0%). These values are higher than the mean density (380 kg m⁻³) and than the modulus of elasticity (9000 MPa) for solid wood *C*18 according to NF EN 338.

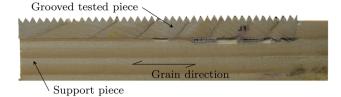


Fig. 4 Half test specimen side view

Finally, both grooved parts were each glued onto a support piece (Fig. 4) where the slope of the grain was in the load direction with the aim of measuring only the behaviour of the grooves.

The specimens were then stored in a climate-controlled room with 85% relative humidity and a temperature of $20\,^{\circ}\text{C}$ for a week to obtain a humidity close to 12% for all specimens.

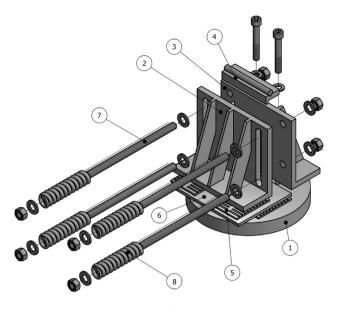
2.2 Testing equipment

The test principle proposed by Pirazzi (2005) was chosen to characterize interface shearing stiffness. This principle consists of a single plane of shearing. It limits friction forces between elements during assembly deformation which can occur during a double-plane shearing test. This principle produces boundary conditions close to those of multi-layer elements.

No scientific study has been published about test assemblies with pre-stressing holding contact. Therefore, a test assembly was designed to guarantee a homogeneous contact pressure at the interface of the test specimens. For that purpose, machining interfaces were placed between two lubricated steel plates and kept in contact by four calibrated springs; a load was then applied. This test assembly is presented in Fig. 5 and an example of a test is shown in Fig. 6. A test was done with a raw wood sample to check that the friction between the sample and the steel plate was negligible.

Test specimens were loaded by a testing machine (Instron) with a calibrated compression capacity of 100 kN. Tests were run under slip control. The deformation was measured in a videometric way with glued paper targets on the test specimens, which are visible in Fig. 6. These targets were monitored by a camcorder with a relative precision of ± 0.03 mm.

Springs were gradually tightened to apply a specific pressure to maintain contact between the two parts of the test specimens. Each spring had a stiffness of 198.9 N mm⁻¹ (the value indicated by the manufacturer) and was checked by compression tests (204.1 N mm⁻¹ \pm 4.2))



- 1 Test assembly support
- 2 Mobile bearing
- 3 Fixed bearing
- 4 Load steel support
- 5 Needle roller cages
- 6 Steel support of cages
- 7 M12 threaded rod
- 8 Calibrated spring

Fig. 5 Test setup diagram

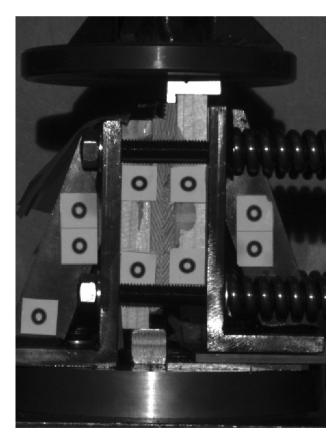


Fig. 6 Test setup and loading arrangement for shearing tests

2.3 Shearing slip and stress in the specimen joint

Test specimens were placed in the design test assembly with a contact surface of 100×100 mm. Three prestressing values were chosen to hold the test specimens: 0.14, 0.28, and 0.56 MPa. These three pre-stressing values were selected because they are related to common pressures in industrial pneumatic system (from 0.1 to 0.7 MPa).

Tests were intentionally stopped after 8 kN of load for pre-stressing of 0.14 and 0.28 MPa to avoid failure of the test specimens. This load value was determined from three previous tests for an estimated failure load of 12 kN. The last tests (pre-stressing of 0.56 MPa) were run until failure.

In order to compare the behaviour of grooves and glue joints, the standard elastic slip modulus for the shear connection (k_s) was determined for each test specimen. The slip modulus was calculated according to EN 26891 based on the slope of the curve between 10 and 40% of the estimated failure load F_{est} (12 kN).

3 Results and discussion

3.1 Results

The specific slip value is shown on each loadslip curve in Fig. 7 by the bold curve. The slip value is calculated as the mean of each slip value determined from behaviour between 10 and 40% of the estimated failure load. Test specimen behaviour is represented with dashed lines.

An overview of all the test results is presented in Table 2. For a pre-stress of 0.56 MPa, the failure load is chosen at the maximum load on each curve and the failure slip is chosen at the failure load. The mean failure stress was 1.58 MPa (COV 14.9%) as calculated from the surface in contact (100×100 mm) and values from the load cell.

The mean curve for the 0.56 MPa pre-stressing test series was obtained by discretising each curve by its slip to enable the calculation of an average (Fig. 8).

Mean values presented in Table 2 are calculated based on the individual load slip curve for each test specimen in the test series.

The average slip modulus per unit surface observed reached 1.47 (CoV 19.5%), 1.87 (CoV 20.1%), and 2.30 N mm $^{-3}$ (CoV 18.6%) for 0.14, 0.28, and 0.56 MPa pre-stresses, respectively.

3.2 Discussion

Every test specimen exhibits linear behaviour until a value of 0.56 mm is reached; then specimens reach a maximum load value in a non-linear way, and one of two cases

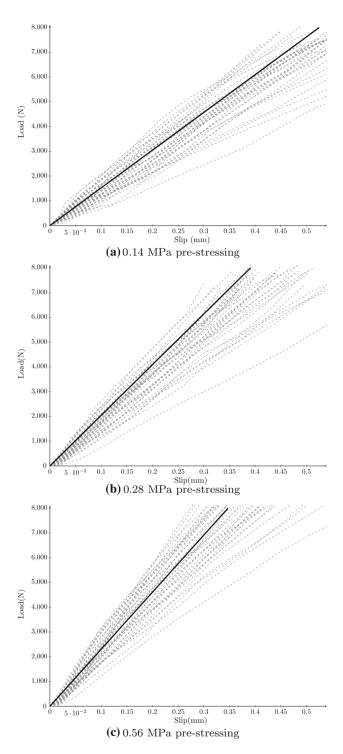


Fig. 7 Relations between the load and slip of joints up to 8 kN

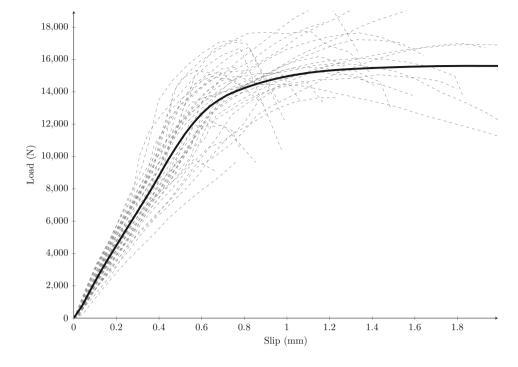
occurs. Some joints present loadslip curves with a relatively long quasi-ductile part with respect to their capacity (1.0 mm until failure) and others show more brittle behaviour (about 0.2 mm until failure). The post-peak behaviour is characterised by a slight gradual reduction of load-carrying capacity until the end of the test.

Table 2 Shear stiffness K in N mm⁻³ for 0.14, 0.28, and 0.56 MPa pre-stress, shear stress in MPa, and slip in mm at failure for a 0.56 MPa pre-stress

Pre-stressing	K			τ_{max}	δ_{max}
	0.14	0.28	0.56	0.56	0.56
Piece					
1	1.32	1.60	2.10	1.73	1.11
2	1.66	2.58	2.59	1.54	1.17
3	1.04	1.45	1.60	1.70	1.21
4	1.28	1.67	2.11	1.57	1.73
5	1.24	1.26	1.58	1.37	0.63
6	2.05	1.89	2.31	1.61	1.34
7	1.08	1.57	1.70	1.69	0.76
8	1.53	1.90	2.06	1.97	0.82
9	1.24	1.71	2.18	1.53	0.78
10	1.28	1.59	1.98	1.47	0.79
11	1.59	1.98	2.38	1.83	1.36
12	1.26	1.75	2.10	1.95	0.75
13	1.44	2.22	2.14	2.12	0.85
14	0.91	1.34	2.23	1.23	0.77
15	1.53	2.02	2.45	1.77	0.65
16	1.26	1.93	2.24	1.50	0.5
17	1.24	2.12	2.79	1.54	0.7
18	1.07	1.14	1.54	0.97	0.70
19	2.05	2.86	2.83	1.67	0.60
20	1.24	2.04	3.09	1.56	0.68
21	1.65	2.23	2.35	1.68	0.62
22	1.40	1.78	2.66	1.55	0.93
23	1.56	2.08	2.55	1.50	1.18
24	1.62	1.60	2.24	1.20	1.22
25	1.73	1.73	2.49	1.72	1.50
26	1.52	2.35	3.32	1.74	1.07
27	1.74	2.04	2.94	1.00	1.18
28	1.72	2.15	2.56	1.52	0.89
29	1.71	1.77	2.47	1.54	0.97
30	1.82	2.42	2.40	1.53	1.84
31	2.01	1.50	1.81	1.58	1.25
32	1.15	1.47	1.87	1.51	1.18
33	1.68	1.89	2.06	1.56	1.35
34	1.43	1.47	1.79	1.62	1.92
35	1.24	2.06	2.76	1.79	1.72
36	1.50	2.19	2.67	1.45	1.30
Mean	1.47	1.87	2.30	1.58	1.06
STD	0.29	0.38	0.43	0.23	0.37
COV (%)	19.5	20.1	18.6	14.9	34.8

In all test series, failure of the grooves occurred at the base of some teeth (circles in Fig. 9); failures then gradually spread to others. Failures arise from rupture by transverse stress tension in raw material. The load-carrying

Fig. 8 Relations between the load and slip of joints until failure for 0.56-MPa prestressing



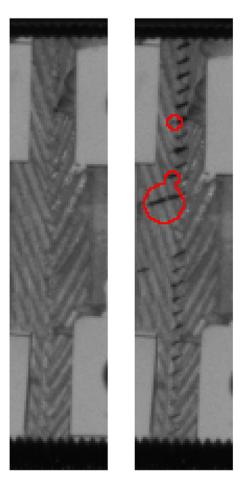


Fig. 9 Example test specimen before (*left*) and after (*right*) failure at the base of the teeth

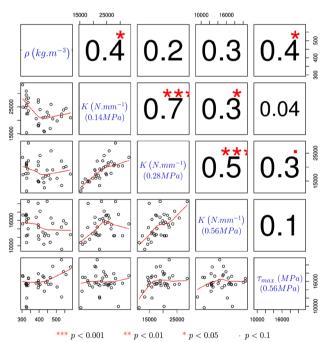


Fig. 10 Correlation matrix between density ρ , stiffness K, and failure stress au_{max}

capacity decreases significantly as a failure appears at the base of a tooth.

The teeth bend as slip increases; this is an important point in understanding the behaviour of the assembly. Indeed, it is visible from observing the specimens during the tests that teeth generate the most displacement by their bending compared with raw material support.

A matrix correlation (Fig. 10) was made with R software (R Development Core Team 2011) to highlight the dependency between each mechanical property of the specimens. The matrix correlation shows that a high stiffness does not induce a high failure stress, whatever the applied pre-stress. Failure stress seems to be caused by the density of specimens, which is consistent with literature (Hanhijarvi et al 2005; Simonaho and Silvennoinen 2006; Wang et al. 2008; Brännström et al. 2008; Viguier et al. 2014).

The results show that the grooved fasteners tested have a round load-carrying capacity (1.58 MPa) but a lower stiffness (from 1.47 to 2.30 N mm⁻³) compared to glue connection where the wood properties lead its behaviour. Indeed, adhesives have to be more resistant and more rigid than the support. In glued case, resistance comes from rolling shear and its mean value is 1.69 MPa by considering a coefficient of variation of 15% for any strength class according to NF EN 14080. This standard gives the rolling shear modulus for glulam which is 65 MPa. A simplified way to compare grooved and glued stiffness is considering the test specimen as a raw beam which is blocked in deflection and rotation on one end and blocked in rotation on the other end where the load is applied.

The results show that the grooved fasteners tested had a similar load-carrying capacity (1.58 MPa), but a lower stiffness (from 1.47 to 2.30 N mm⁻³), compared to glue connections, where the wood's properties determined its behaviour. Indeed, adhesives must be more resistant and more rigid than the support. In the case of glued connections, resistance originates from rolling shear, and its mean value is 1.69 MPa, considering a coefficient of variation of 15%, for any strength class according to NF EN 14080. So the grooved fasteners tested had a load-carrying capacity close to 95.8% of glued connections. This standard gives the rolling shear modulus for glulam, which is 65 MPa. A simplified way to compare grooved and glued stiffness is to consider the test specimen as a raw beam which is blocked in deflection and rotation on one end and blocked in rotation on the other end where the load is applied. Based on the mechanics of materials, the deflection at the end of this type of beam is deduced from Eq. 2 below:

$$f = \frac{FL^3}{12EI} + \frac{FL}{GS} \tag{2}$$

With:

f	Deflection	mm
F	Load	N
L	Length	mm
\boldsymbol{E}	Modulus of elasticity	MPa
G	Shear modulus	MPa
I	Moment of inertia	mm^4
S_{ef}	Effective cross section	mm^2

Equation 2 includes shearing deflection, which is dominant for short beams. The diffusion effect is not taken into account in the calculation. The calculation values are as follows: $L=13.8\,$ mm, $E=300\,$ MPa, $G=65\,$ MPa, $I=8.3\times10^6\,$ mm³ and $S_{ef}=5/6S=8333\,$ mm² (rectangular cross section). In this way, a deflection of 0.204 mm is obtained under a load of 8 kN with a shear stiffness of 3.91 N mm $^{-3}$.

Grooved connections are then comparable to glued connections. Grooved average resistance is approximately the same as for glued connections, which is explained by the fact that teeth transmit load both by compression and shear.

Grooved connections have a slip stiffness accounting for 38 to 59% of a glued connection's performance; this is due to the bending effect at the tooth level. Slip seems to be low, but would be sufficient for multilayer elements; indeed, it is common to use metallic fasteners (Johansen 1949; Tomasi et al. 2010; Chen and Lam 2013) for assembling layers. Four screws (6-mm diameter) have a slip stiffness of 7.7 kN mm⁻¹ according to NF EN 1995-1, or 0.77 N mm⁻³ (for a unit equivalent surface). Hence, grooved connections are able to replace fasteners.

The interface stiffness must be well known when its value is lower than that of the raw material; indeed this case becomes an issue in theory for partial interaction beams or plates (Heimeshoff 1987; Kreuzinger 1995; Fragiacomo 2005; Girhammar and Pan 2007; Girhammar 2009; Fragiacomo and Lukaszewska 2011).

Therefore, the parts of each test specimen can be modelled as two springs arranged in parallel to obtain an equivalent slip stiffness in multi-layer element interfaces. The stiffness is determined for a unit surface of connection by Eq. 3 below:

$$\frac{1}{K_{eq}} = \frac{1}{K_{p1}} + \frac{1}{K_{p2}} \tag{3}$$

With:

 K_{eq} Stiffness of the whole joint N mm⁻¹ K_{p1} Stiffness of one part N mm⁻¹ K_{p2} Stiffness of the other part N mm⁻¹

From previous equation, the mean stiffness of one shear plan groove can be deduced by:

$$K_p = 2 \cdot K_{eq} \tag{4}$$

On the assumption of linear evolution of behaviour on the basis of the width and length of the assembly, load-slip behaviour is determined for a unit surface of a grooved joint. The stiffness of one plane of unit surface for shearing is 2.93, 3.74, and 4.61 N mm⁻³, respectively, for 0.14,

0.28, and 0.56 MPa of pre-stressing for grooves of a 100×100 mm contact surface. These values allow calculations for modelling the behaviour of grooves in their linear region; i.e. for deflection up to 0.56%.

The test for normality of Shapiro and Wilk (1965), recommended for samples of less than 50 individuals, allows a value of W = 0.938 higher than $W_{0.05} = 0.935$ to be obtained. In this case, p = 0.045 (<0.05). These values mean that the risk of having a non-normal distribution is higher than 5%. Therefore, calculation rules for characteristic values according to Eurocode 0 Annex D (NF EN 1990) cannot be used to obtain the characteristic shear resistance of grooves.

4 Conclusion

Grooves may be used effectively as shear connectors for composite elements. Indeed, grooves significantly increase the slip modulus and load-carrying capacity despite the different nature of shear connectors. This is interesting from the point of view of minimising the amounts of connectors used in manufacturing composite products.

The use of this type of fastener may be advantageous in an automated production process and represents an alternative to glued or screwed shear connections for composite floor elements as described in the introduction. Grooved connections have a slip stiffness accounting for 38 to 59% and a load-carrying capacity close to 95.8% of a glued connection's performance. However, although these values are below the glued connections, grooved connections should have enough slip stiffness and load-carrying performance for application in timber hollow-box structures.

From the tests in this experiment, it was noted that failures were initiated at the tooth base level. Tests were conducted on one geometrical shape owing to the preponderance of literature on this type of connection.

It would be interesting to investigate other geometrical shapes to measure the influence of geometry on the results. This is especially true for tooth angle and height, but also for surface roughness, which may change the interface coefficient of friction and thus have a significant impact on force transmission.

A larger-scale test campaign must be performed to measure mechanical property influences on results, for example those of density or modulus of elasticity.

Fasteners must be added to hold grooved interfaces like screws or welded-through wood dowels in contact (Bocquet et al. 2007; Girardon et al. 2014). This paper presented a first step for grooved connections. The next step would be the choice and optimisation of fasteners in order to reach maximum load-carrying capacity at a higher slip value with an adapted pre-stress.

Tests have been conducted on spruce. It would be interesting to investigate results using other species (e.g. hardwood and softwood), enabling the use of local resources close to the manufacturing workshop in order to limit environmental impact.

References

- Adalberth K, Almgren A, Holleris Petersen E (2001) Life-cycle assessment of four multi-family buildings. Int J Low Energy Sustain Build 2:1–21
- Aye L, Ngo T, Crawford RH, Gammampila R, Mendis P (2012) Life cycle greenhouse gas emissions and energy analysis of prefabricated reusable building modules. Energy Build 47:159–168
- Bocquet J-F, Pizzi A, Despres A, Mansouri HR, Resch L, Michel D, Letort F (2007) Wood joints and laminated wood beams assembled by mechanically-welded wood dowels. J Adhes Sci Technol 21(3–4):301–317
- Brännström M, Manninen J, Oja J (2008) Predicting the strength of sawn wood by tracheid laser scattering. BioResources 3(2):437–451
- Chen Y, Lam F (2013) Bending performance of box-based crosslaminated timber systems. J Struct Eng 139(12):04013006
- Crocetti R, Gustafsson, PJ, Danielsson H, Emilsson A, Ormarsson S (2010) Experimental and numerical investigation on the shear strength of glulam. In: Proceedings of international council for research and innovation in building and construction, working commission W18 - Timber structures, CIB-W18, vol CIB-W18, Meeting forty-three
- Dodoo A, Gustavsson L, Sathre R (2014) Lifecycle primary energy analysis of low-energy timber building systems for multi-storey residential buildings. Energy Build 81:84–97
- Fragiacomo M (2005) A finite element model for long-term analysis of timber-concrete composite beams. Struct Eng Mech 20(2):173–190
- Fragiacomo M, Lukaszewska E (2011) Development of prefabricated timber concrete composite floor systems. Proc Inst Civ Eng Struct Build 164(2):13
- Girard A, Roy N (2003) Dynamique des structures industrielles (Structural Dynamics in Industry) (In French). Hermes Science Publications
- Girardon S (2014) Mechanical performances of screwed timber connections, improvement by mechanical preparation of the interfaces: its application to structural member. PhD thesis, Université de Lorraine
- Girardon S, Barthram C, Resch L, Bocquet J-F, Triboulot P (2014)
 Determination of shearing stiffness parameters to design multilayer spruce beams using welding-through wood dowels. Eur J Wood Prod 72(6):721–733
- Girhammar UA (2009) A simplified analysis method for composite beams with interlayer slip. Int J Mech Sci 51(7):515–530
- Girhammar UA, Pan DH (2007) Exact static analysis of partially composite beams and beam-columns. Int J Mech Sci 49(2):239–255
- Hanhijarvi A, Ranta-Maunus A, Turk G (2005) Potential of strength grading of timber with combined measurement techniques Vtt Publications, p 568
- Heimeshoff B (1987) On the calculation of composite beams with slip occurring in the joints. Holz Roh- Werkst 45:237–241
- Johansen K (1949) Theory of timber connections. Int Assoc Bridge Struct Eng 9:249–262
- Kawasaki T, Kawai S (2006) Thermal insulation properties of wood-based sandwich panel for use as structural insulated walls and floors. J Wood Sci 52(1):75–83

- Kermani A, Hairstans R (2006) Racking performance of structural insulated panels. J Struct Eng asce 132(11):1806–1812
- Kreuzinger H (1995) Mechanically jointed beams and columns. Timber Eng STEP 1:1–8
- Pirazzi C (2005) On the Calculation of screw-laminated timber rib shells. PhD thesis, ENAC, Lausanne
- R Development Core Team (2011) R: A Language and Environment for Statistical Computing. R Foundation for Statistical Computing. Vienna
- Resch L (2009) Development of local laminated wood construction element using welded-through dowels. PhD thesis, ENSTIB
- Shapiro SS, Wilk MB (1965) An analysis of variance test for normality (complete samples). Biometrika 52(3–4):591–611
- Simonaho S-P, Silvennoinen R (2006) Sensing of wood density by laser light scattering pattern and diffractive optical element based sensor. J Opt Technol 73(3):170–174

- Tomasi R, Crosatti A, Piazza M (2010) Theoretical and experimental analysis of timber-to-timber joints connected with inclined screws. Constr Build Mater 24(9):1560–1571
- Viguier J, Jehl A, Collet R, Bleron L, Meriaudeau F (2014) Improving strength grading of timber by grain angle measurement and mechanical modeling. Wood Mater Sci Eng (ahead-of-print):1–12
- Wang S-Y, Chen J-H, Tsai M-J, Lin C-J, Yang T-H (2008) Grading of softwood lumber using non-destructive techniques. J Mater Process Technol 208(1):149–158
- Zarnani P, Quenneville P (2014) Wood load-carrying capacity of timber connections: an extended application for nails and screws, pp 167–179