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Feb 28th, 7:30 AM - 8:30 AM

Spacecraft Radiation Shielding by a Dispersed Magnetic Field Array

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Spacecraft Radiation Shielding Using Dispersed Superconducting Loops



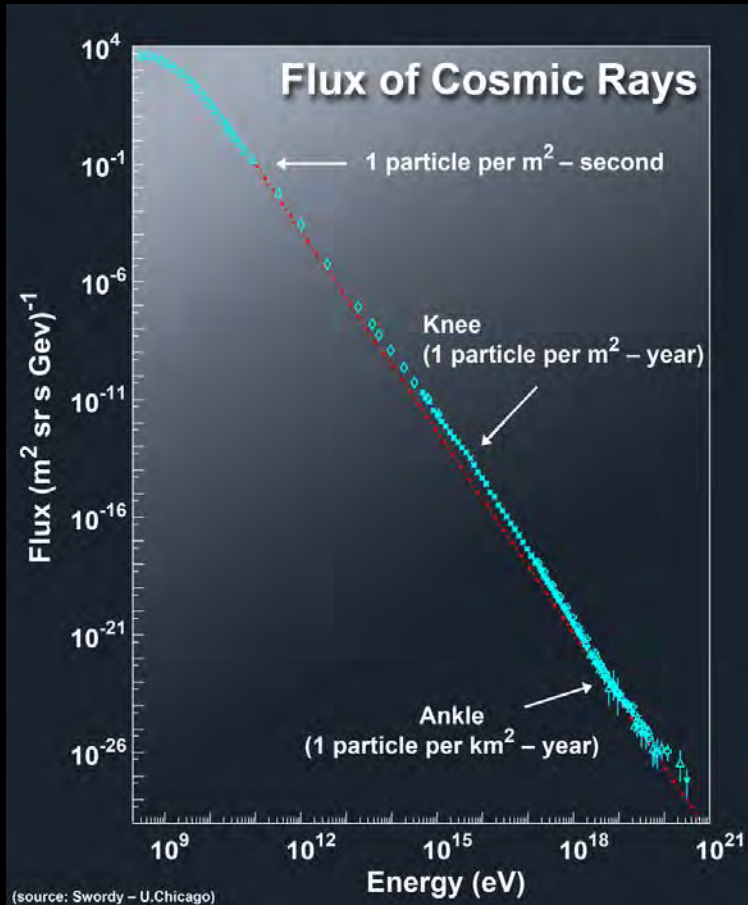
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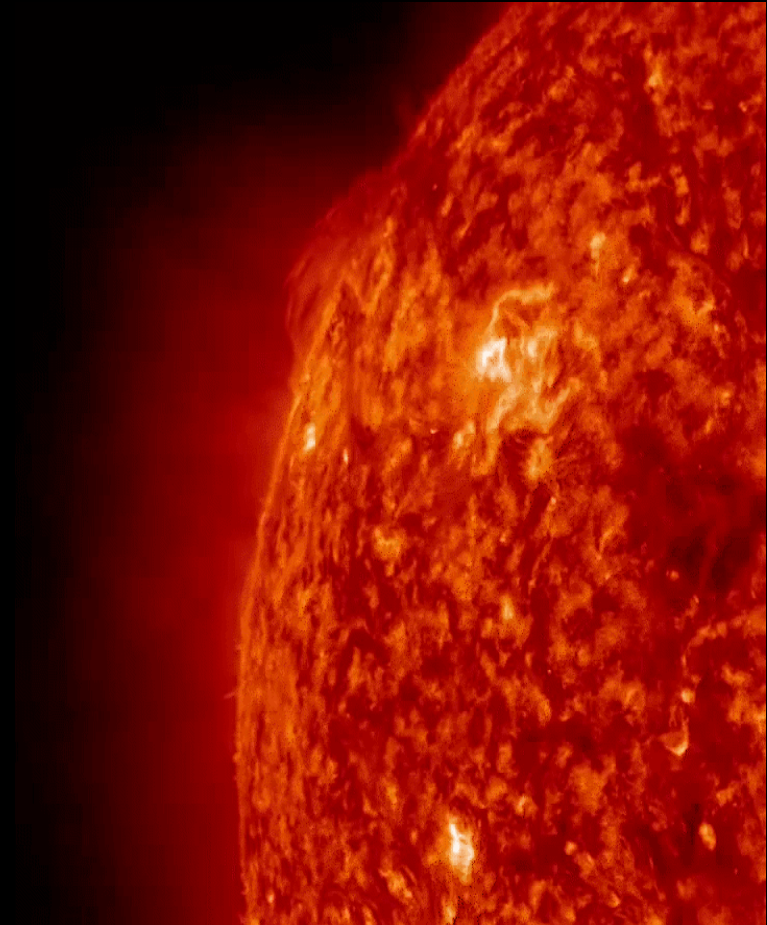


Interplanetary Radiation Environment



Galactic Cosmic Rays (GCRs)

Isotropic and *constant*
1—1000 GeV
Protons \longleftrightarrow Fe



Solar Particle Events (SPEs)

Isotropic and *intermittent*
1—1000 MeV
protons, H, He, C, Si, Fe

Radiation Threat

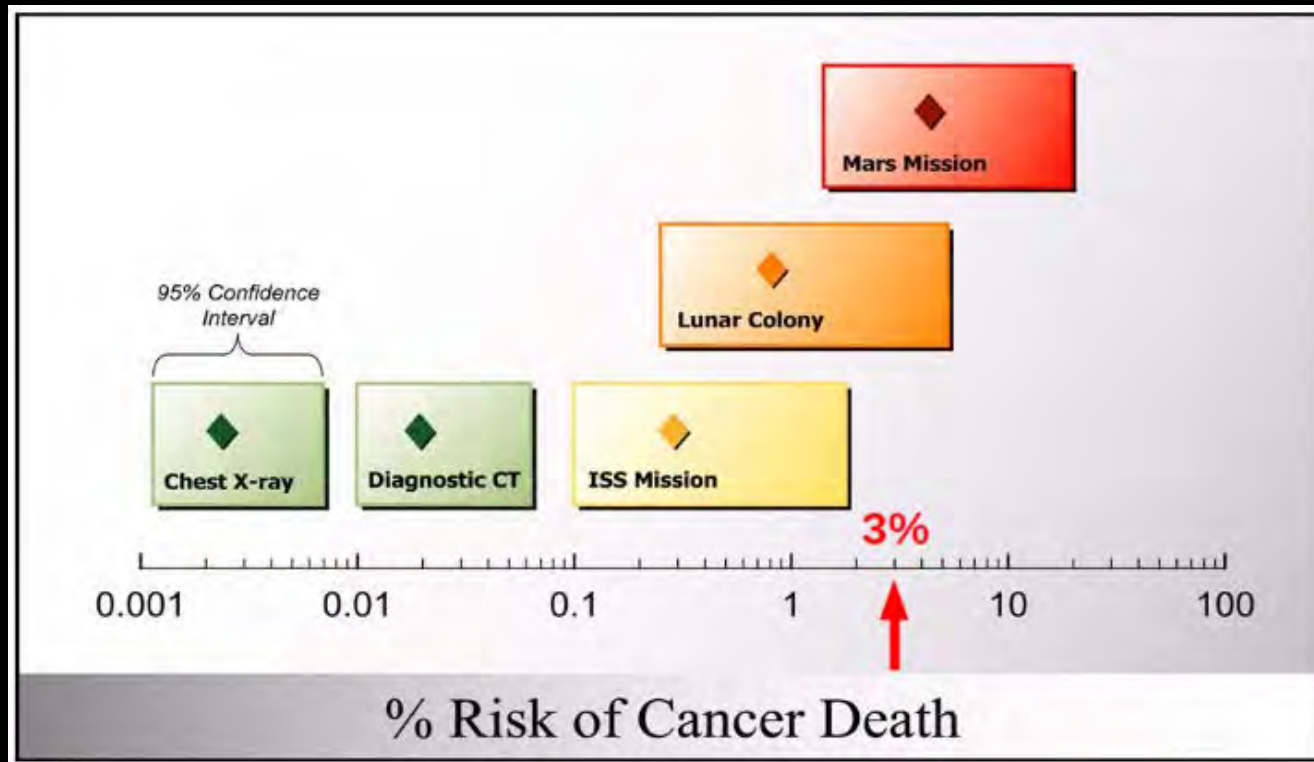
Radiation Exposure Induced Death (REID)

NASA Standard of **<3%** increase (95% confidence)

Table 4-1. Example Career Effective Dose Limits in Units of mill-Sievert (mSv) for 1-year Missions and Average Life-loss for an Exposure-Induced Death for Radiation Carcinogenesis (1 mSv = 0.1 rem)

Age, yr	E(mSv) for 3% REID (Ave. Life Loss per Death, yr)	
	Males	Females
25	520 (15.7)	370 (15.9)
30	620 (15.4)	470 (15.7)
35	720 (15.0)	550 (15.3)
40	800 (14.2)	620 (14.7)
45	950 (13.5)	750 (14.0)
50	1,150 (12.5)	920 (13.2)
55	1,470 (11.5)	1,120 (12.2)

Radiation Threat



“The NASA PELs for fatal cancer risk **may be exceeded for several lunar scenarios** including a large SPE, cumulative career exposure, and mission length dependent on crew age and gender. In addition, the **NASA PELs for fatal cancer risk are projected to be violated under all possible Mars scenarios at this time.**”

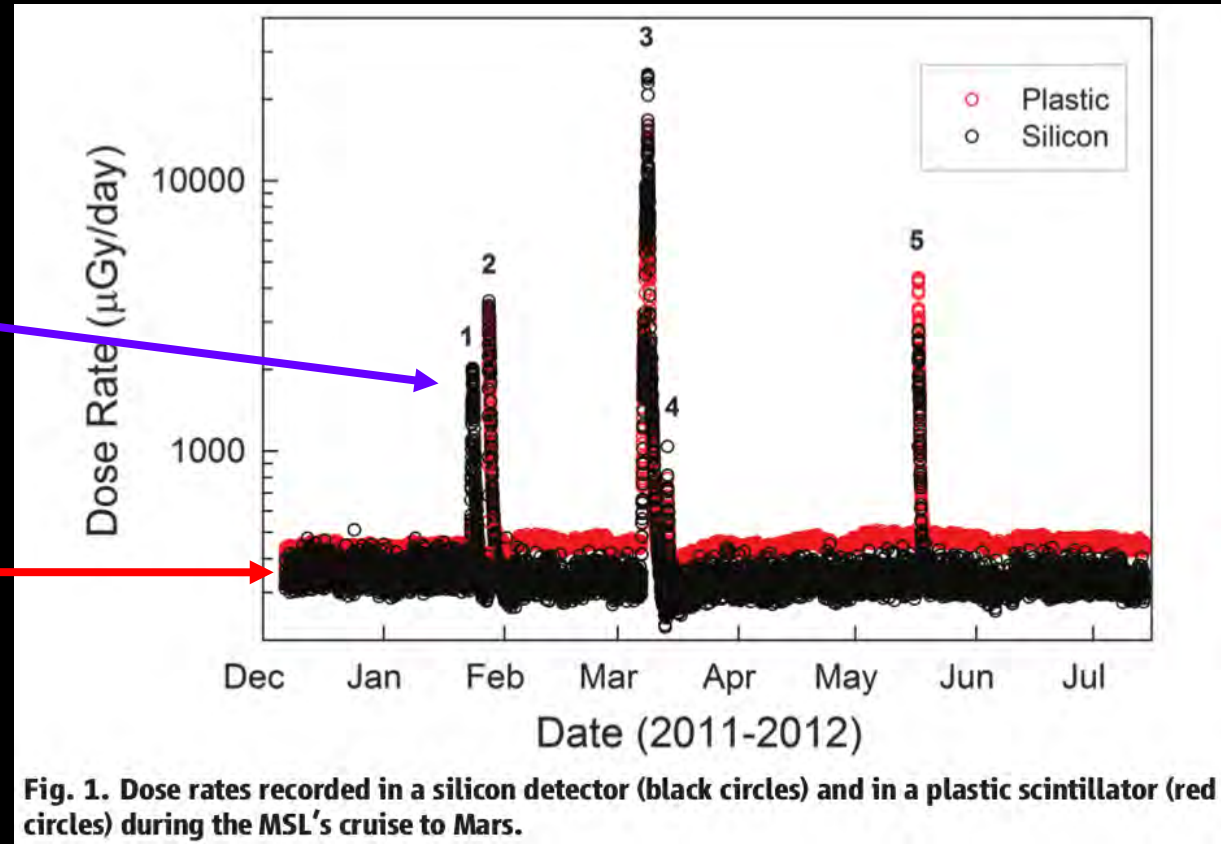


Curiosity Rover

253-day cruise to Mars

SPEs

GCRs



Shortest round-trip: 660 ± 120 mSv

Why magnetic shielding?

Threat Mitigation

Deal with consequences

- Molecular/DNA level
- Enterade
- Not a “showstopper”

Prevention

- Absorption
- Deflect



Absorption - Material Shielding

**Secondary particles
increase exposure**

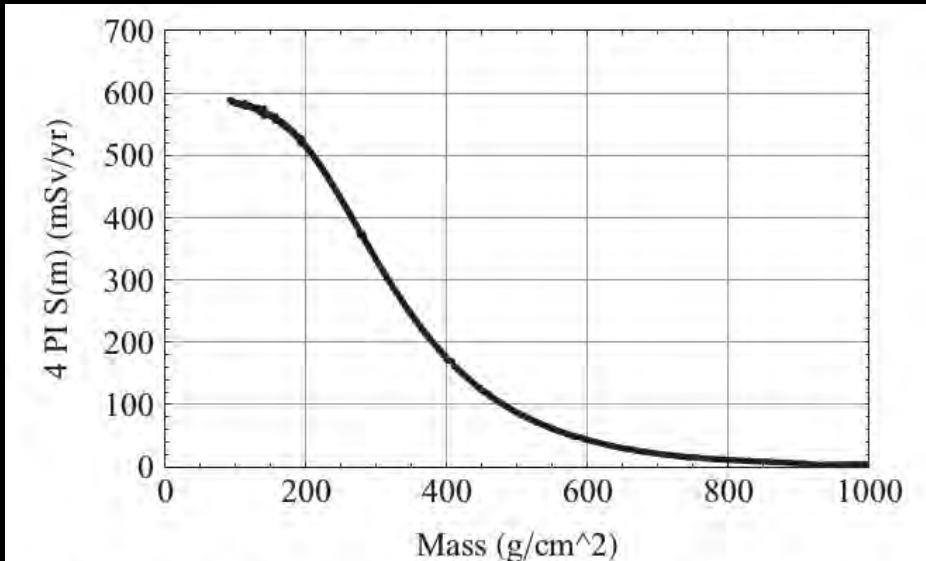
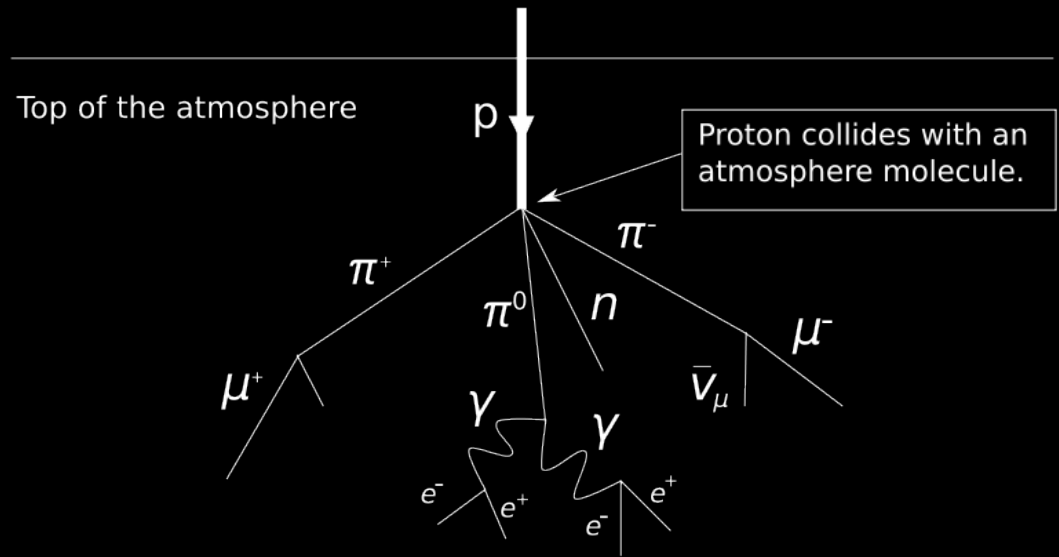
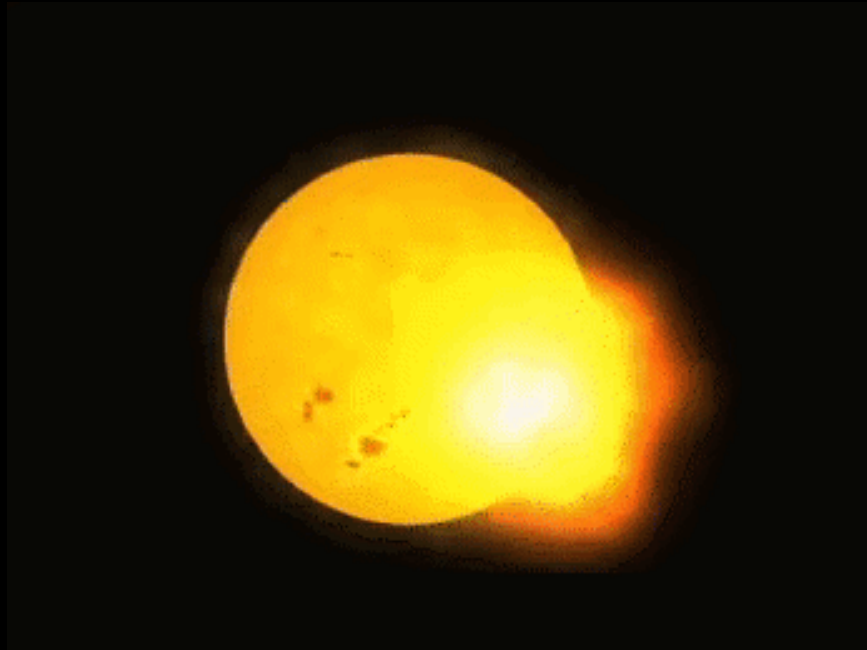


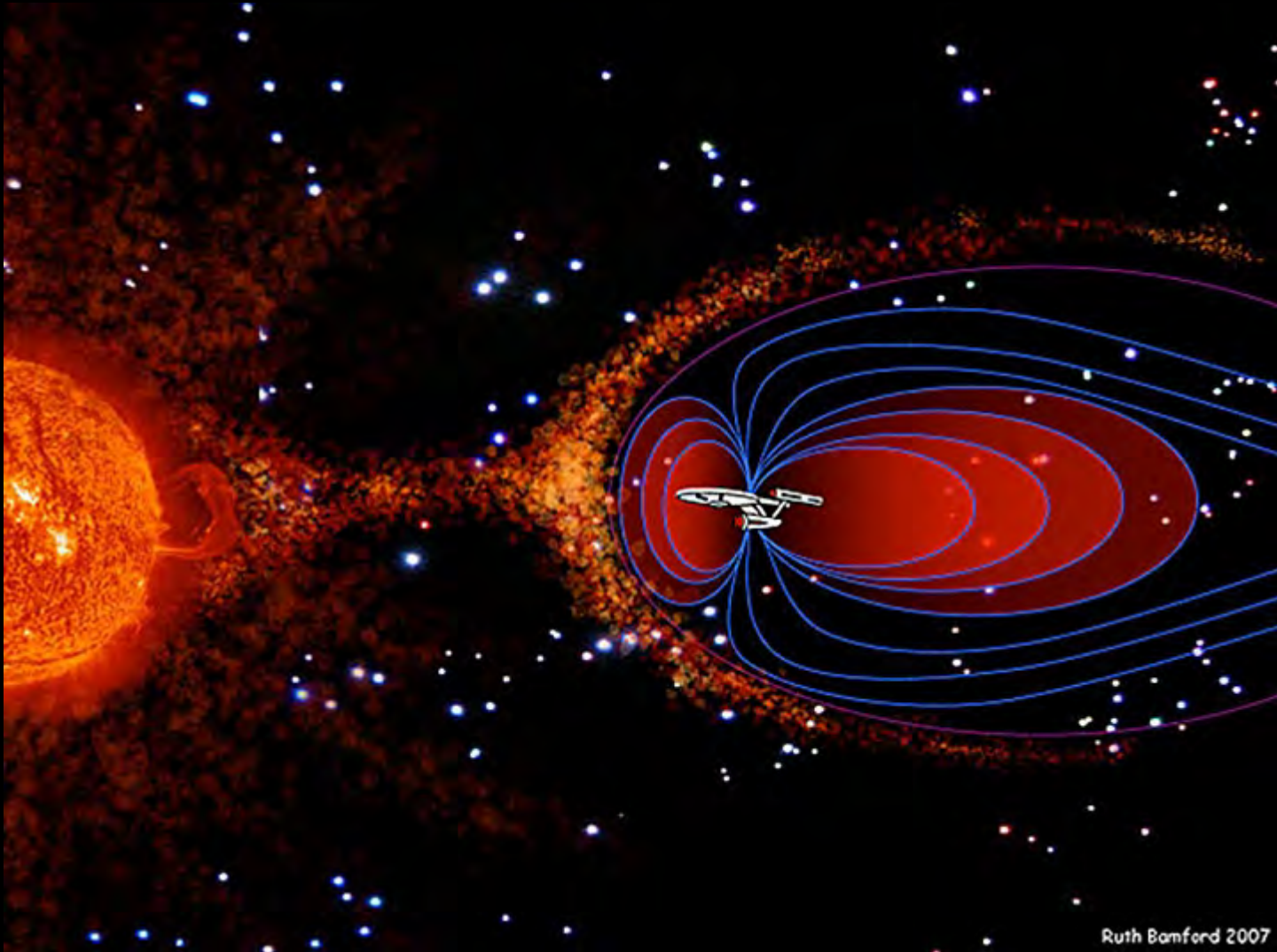
Fig. 5. This plot shows the atmospheric radiation shielding function at the 06/09 solar minimum,

Youngquist et al. (2014)

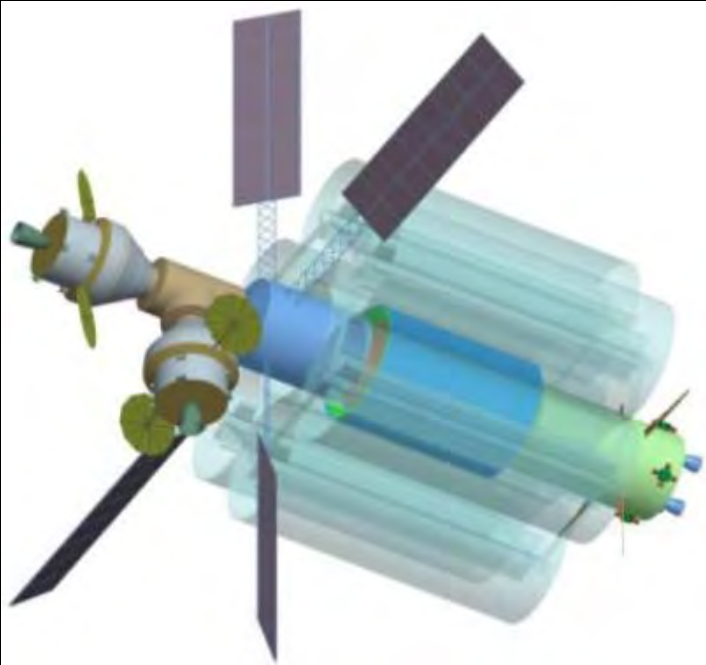
Deflection - Mimic Earth's Shield



Magnetic Shielding

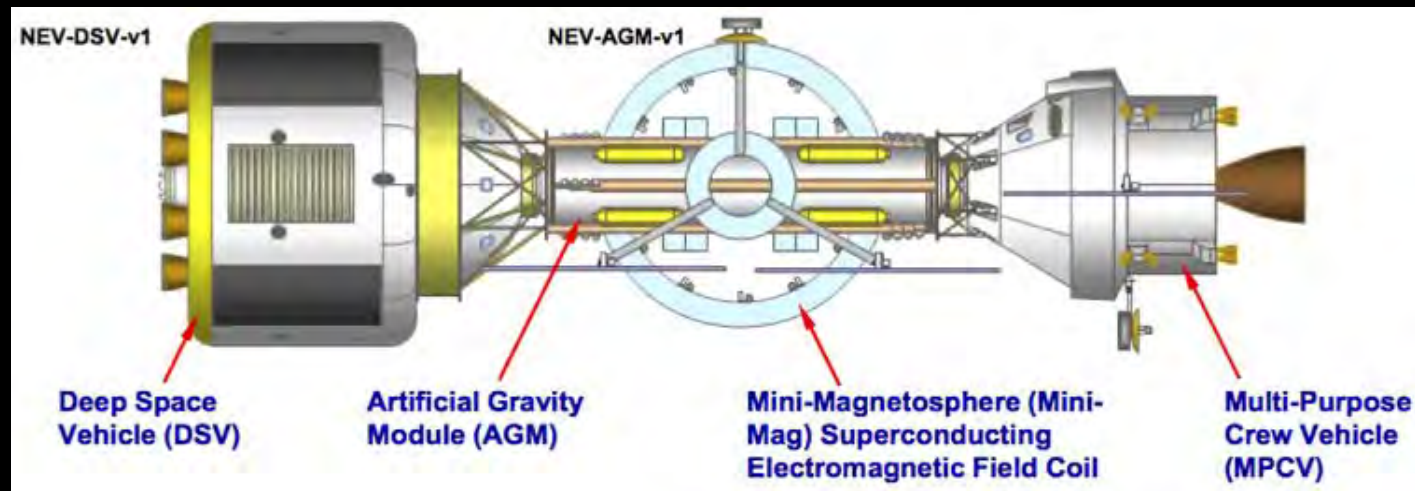


Previous Designs



Superconducting magnets
attached directly to spacecraft

Kervendal, E., Kirk, D., Meinke, R. (2006)

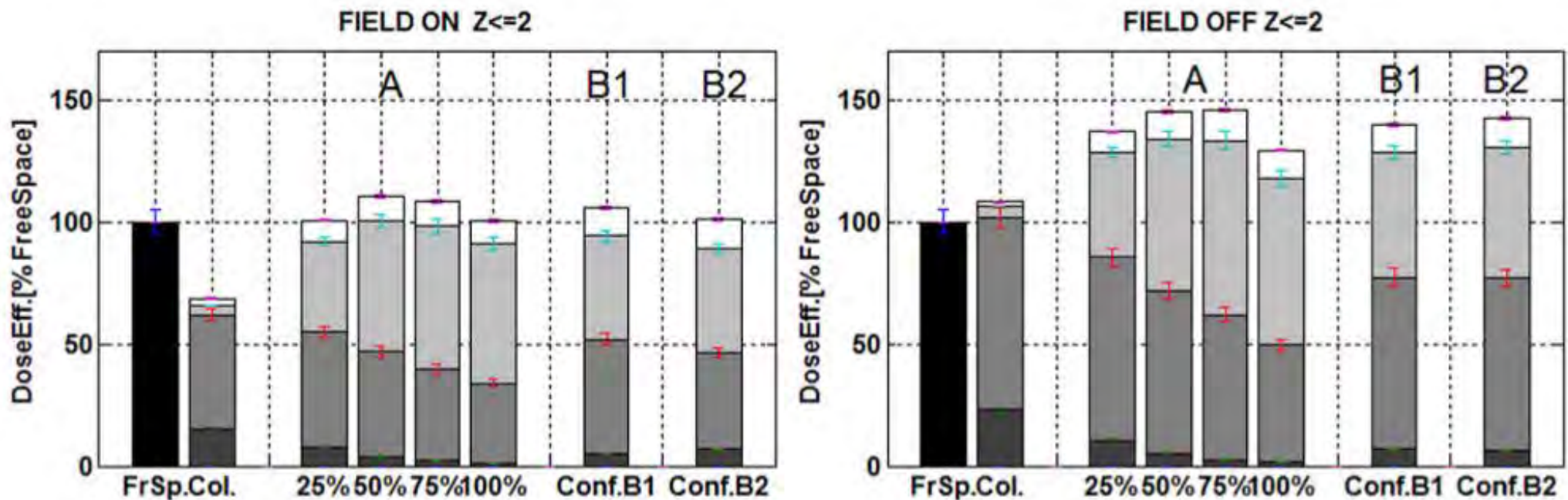


Bamford, R. A., et al. (2014)

Drawbacks

- Thermal management of superconductors
- Danger of quench in proximity of habitat
- Hinders EVAs
- Re-designing Orion

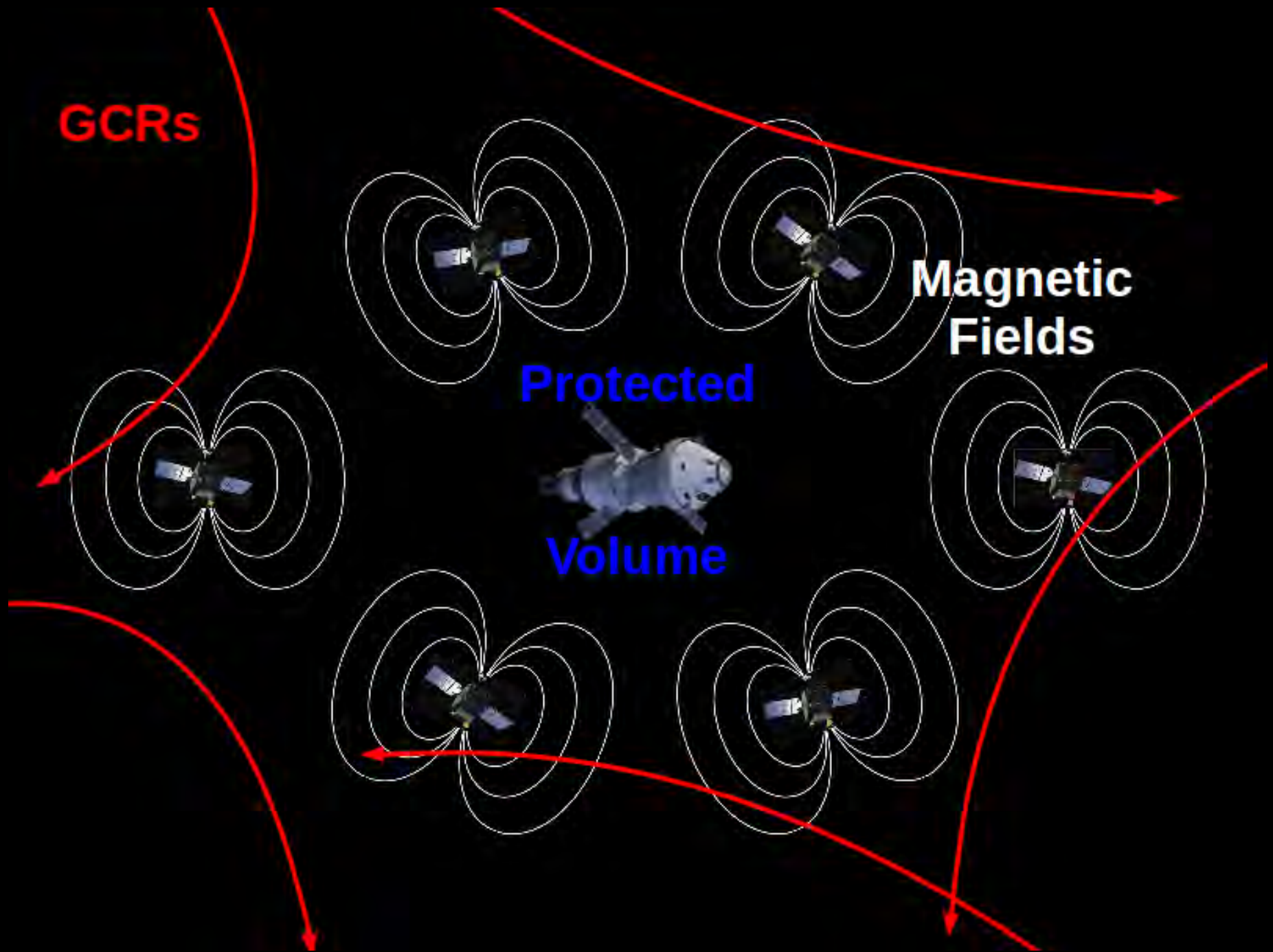
Increase of secondary radiation! (Vuolo et al. 2014)



New Concept



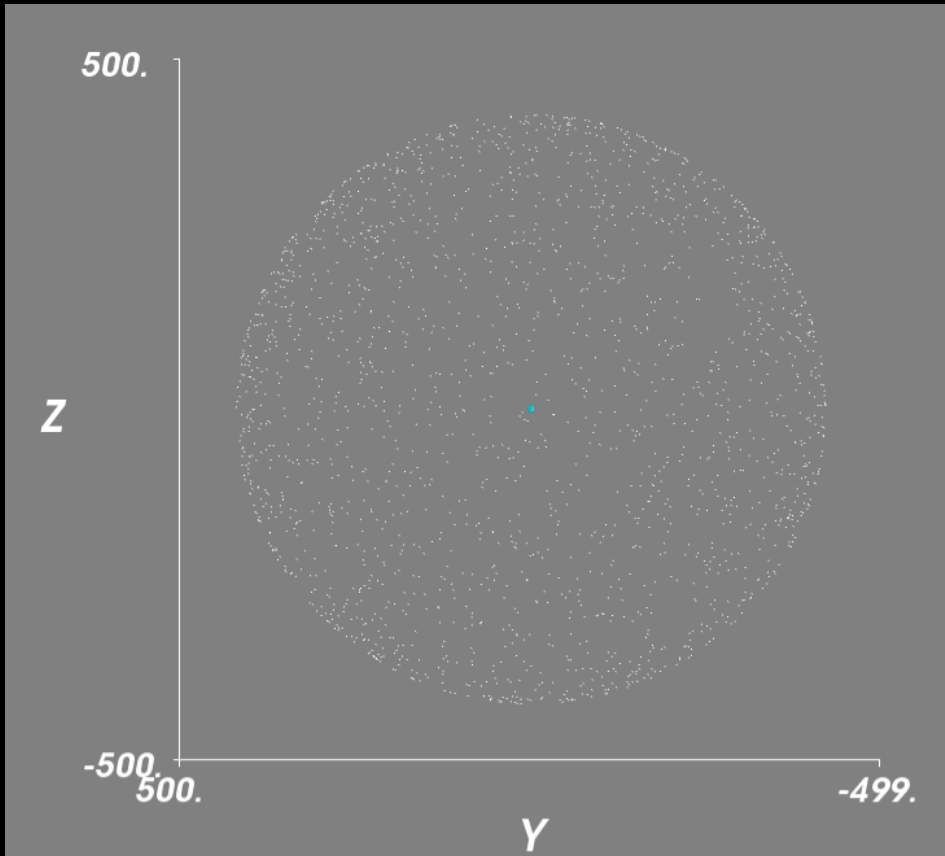
New Concept



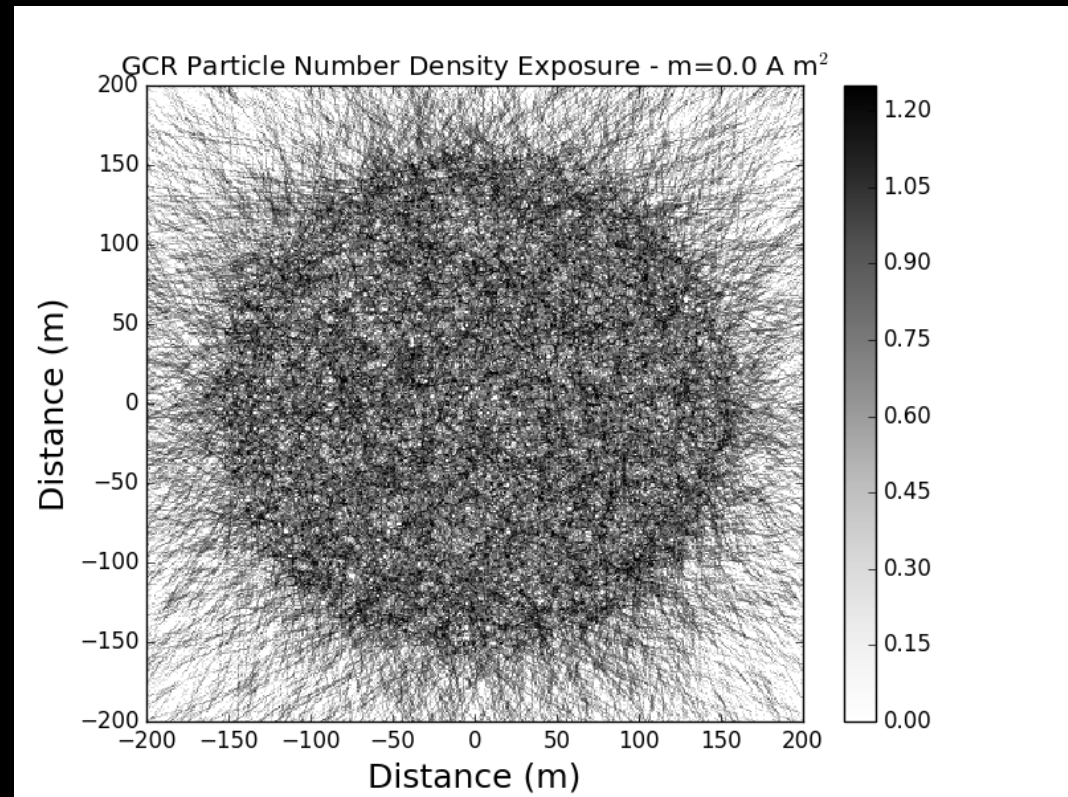
Goals

1. Optimize Design
 2. First approximation
 3. Good News
 4. Great News
 5. Bad News
- Better solution?

Create Isotropic Environment



$$-1 < \cos \theta < 1$$
$$0 < \phi < 2\pi$$



Equation of Motion

$$\frac{d\vec{u}}{dt} = \frac{300}{E_n[\text{MeV}]} \frac{Z}{A} (\vec{u} \times \vec{B}[T])$$

Energy space

Particle Advancement

$$u[n + 1] = u[n] + a \cdot dt$$

$$r[n + 1] = r[n] + u[n + 1] \cdot dt$$

4th order
Runge Kutta

Form of the Magnetic Shield

$$B_x = \frac{Cxz}{2\alpha^2\beta\rho^2} [(a^2 + r^2)E(k^2) - \alpha^2 K(k^2)]$$

$$B_y = \frac{Cyz}{2\alpha^2\beta\rho^2} [(a^2 + r^2)E(k^2) - \alpha^2 K(k^2)]$$

$$B_z = \frac{C}{2\alpha^2\beta} [(a^2 - r^2)E(k^2) + \alpha^2 K(k^2)]$$

CIRCULAR CURRENT LOOPS
Exact magnetic field solutions
outside conductor

(Simpson et al. 2001)

magnetic moment $\mu = IA$

Remove particles that hit loops

$$r_{cs} < R^2 + a^2 - 2a(R^2 - z^2)^{1/2}$$

Energy loss

$$P = \frac{dE_n}{dt} = \frac{\mu_0 q^2 \gamma^6 u_0^2}{6\pi c} [c^4 a'^2 + |\vec{n} \times c^2 \vec{a}'|^2]$$

High Temperature Superconductors



YBCO

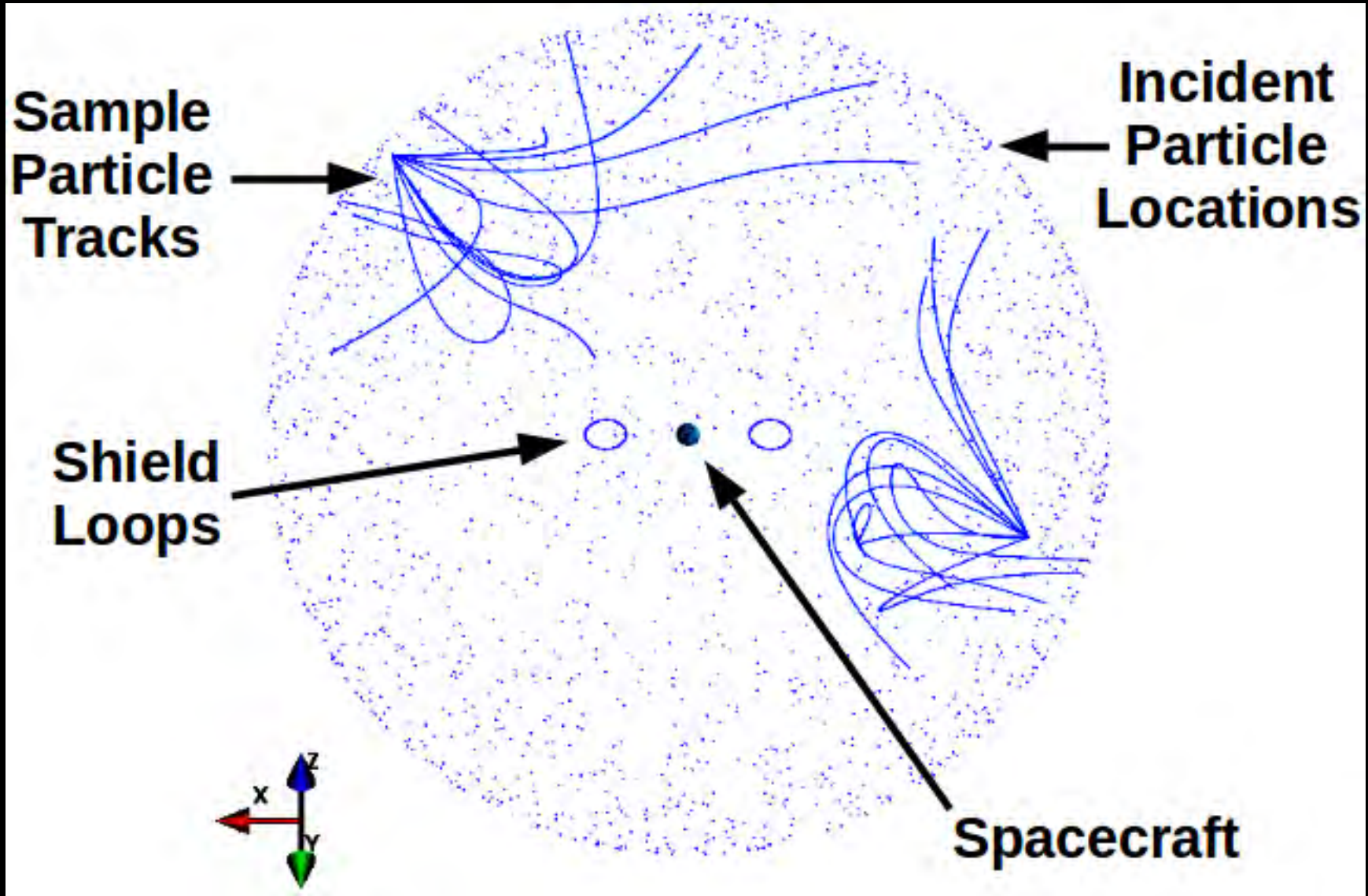
$I = 300 \text{ A}$
 $J_e = 50 \text{ kA/cm}^2$
 $T_c = 90 \text{ K}$
 $T_o = 40\text{-}50 \text{ K}$

Loop dimensions

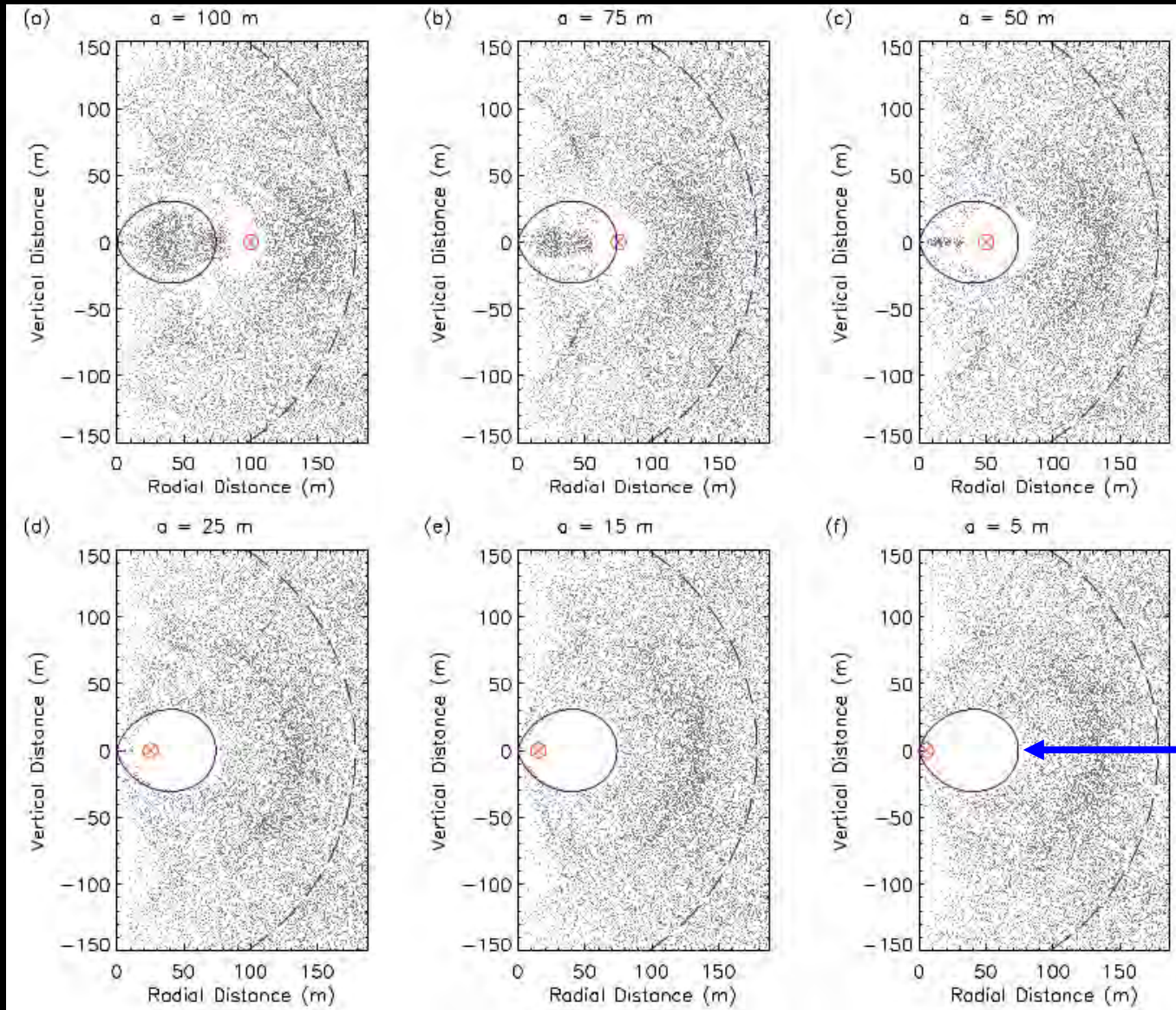
$$r_{cs} = \sqrt{\frac{\mu}{\pi^2 a^2 J_e}}$$

$$m = \frac{2\mu\rho}{aJ_e}$$

Configuration



Dispersed Shield – Large Loops



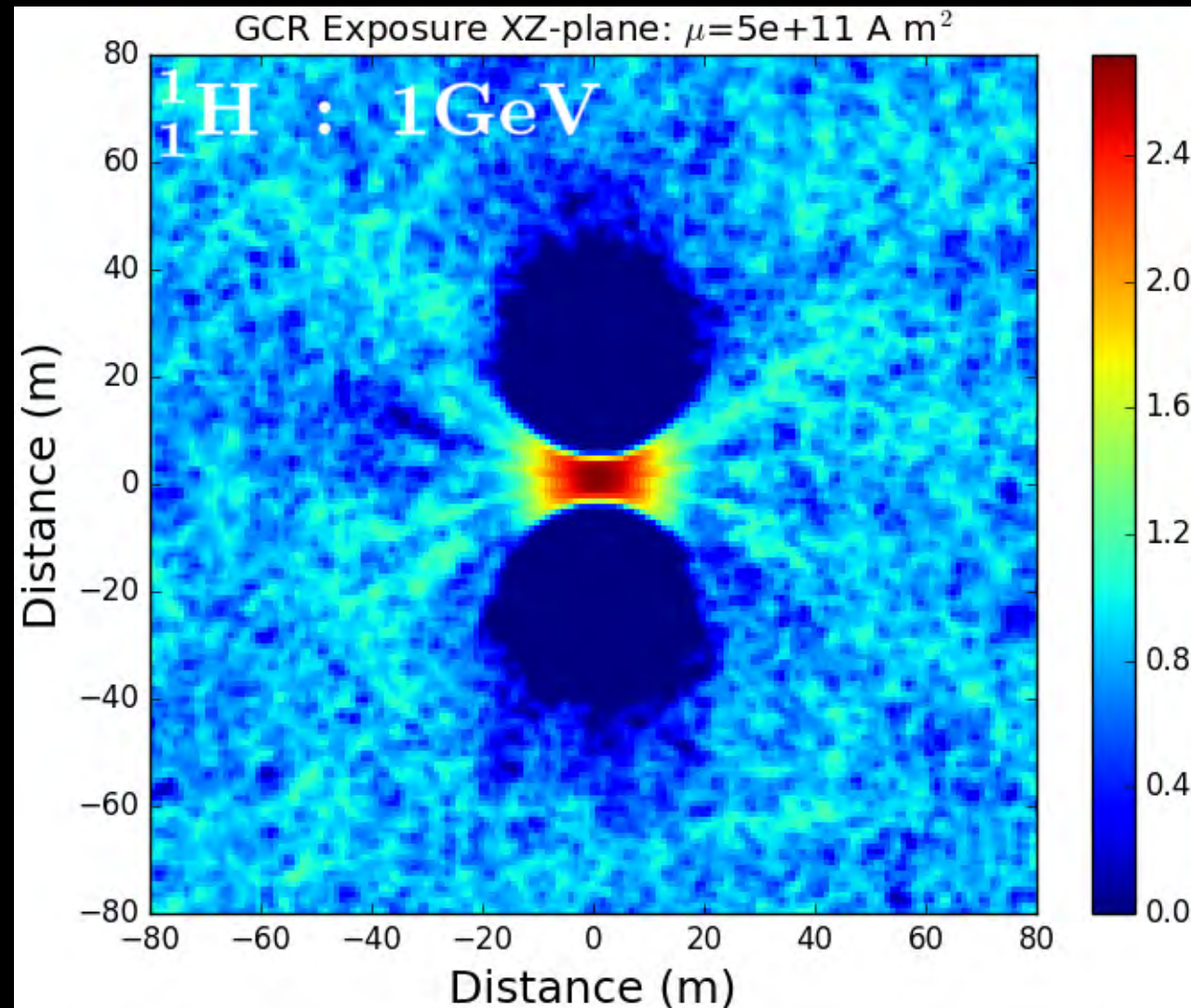
Shepherd & Kress (2007)

$$\mu = 1.1 \times 10^{13} \text{ A m}^2$$

“Forbidden Zone”

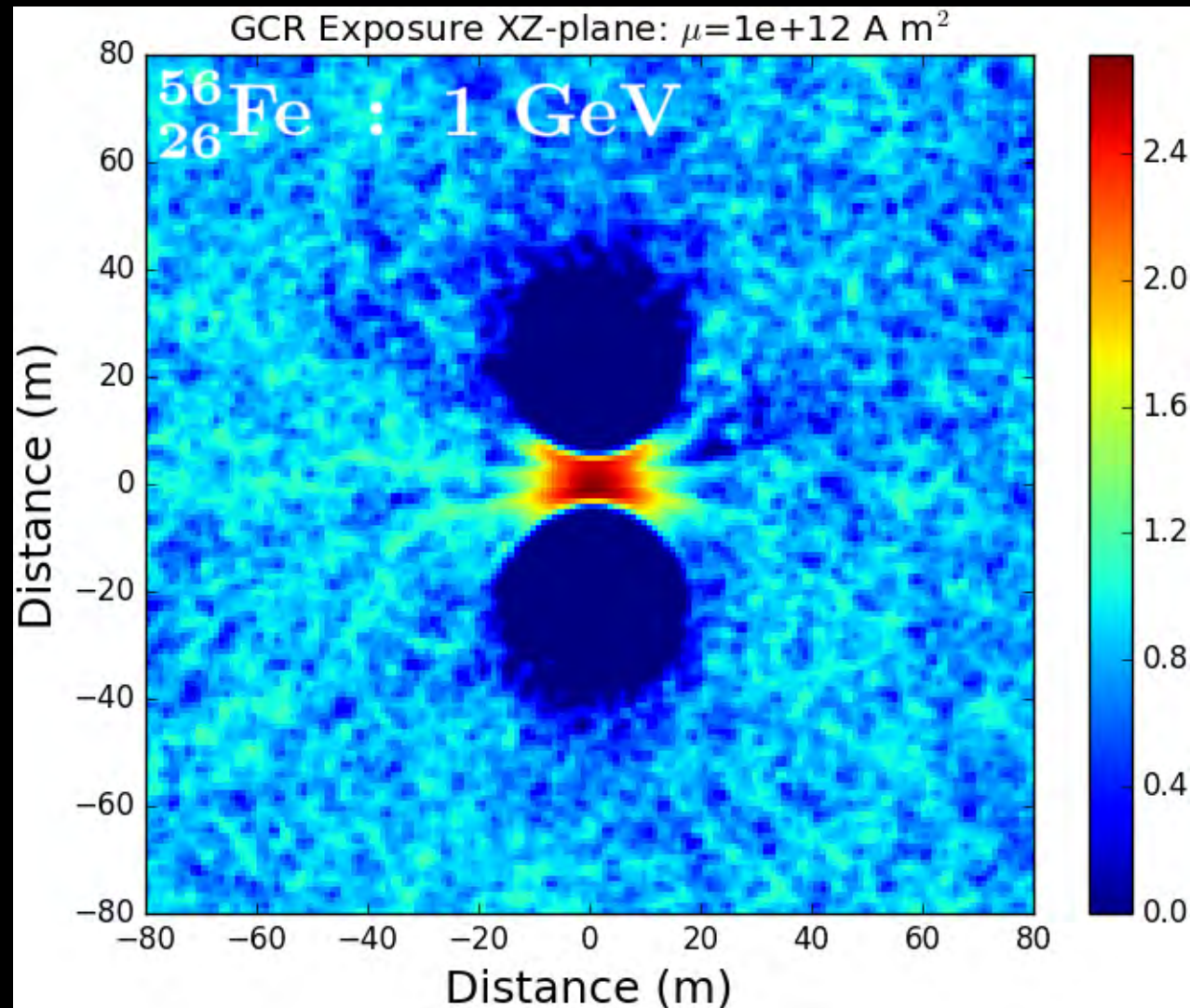
Single Loop Simulations

1 GeV
protons
 $a = 10$ m

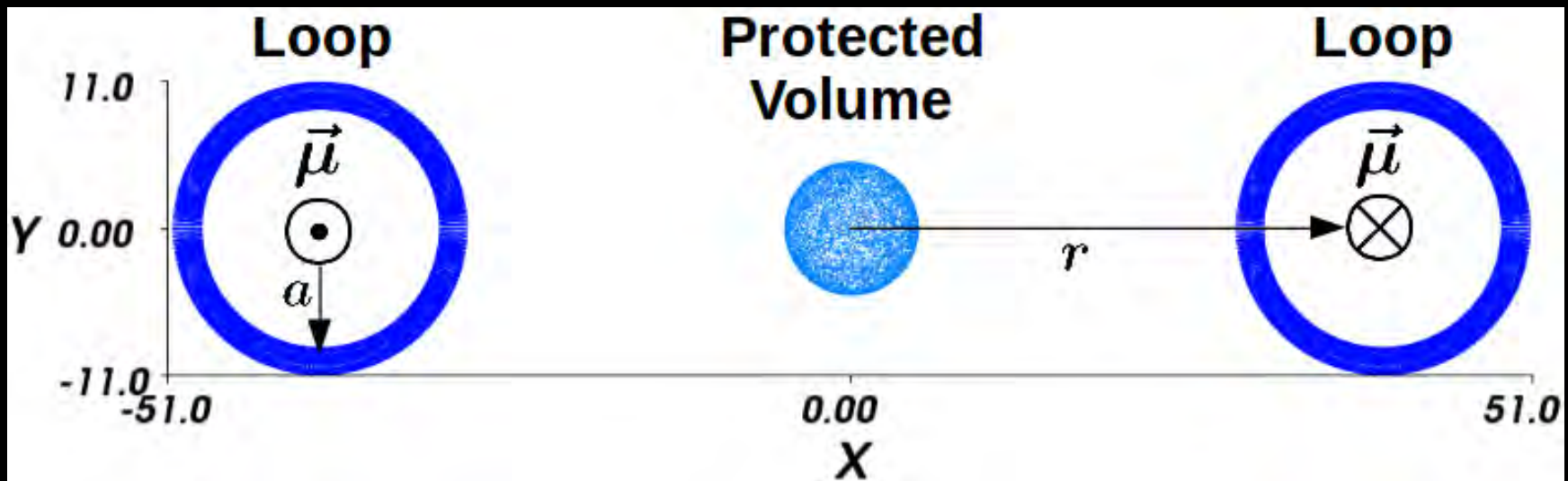


Single Loop Simulations

1 GeV
iron nuclei
 $a = 10$ m

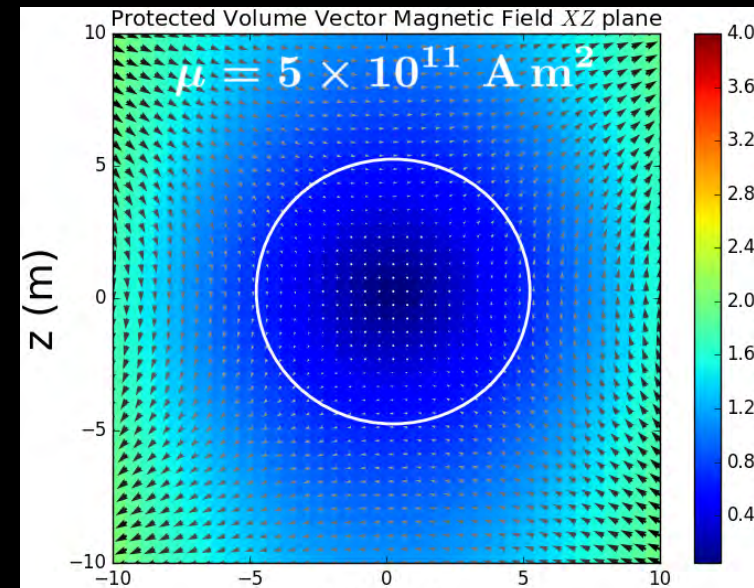


First Approximation

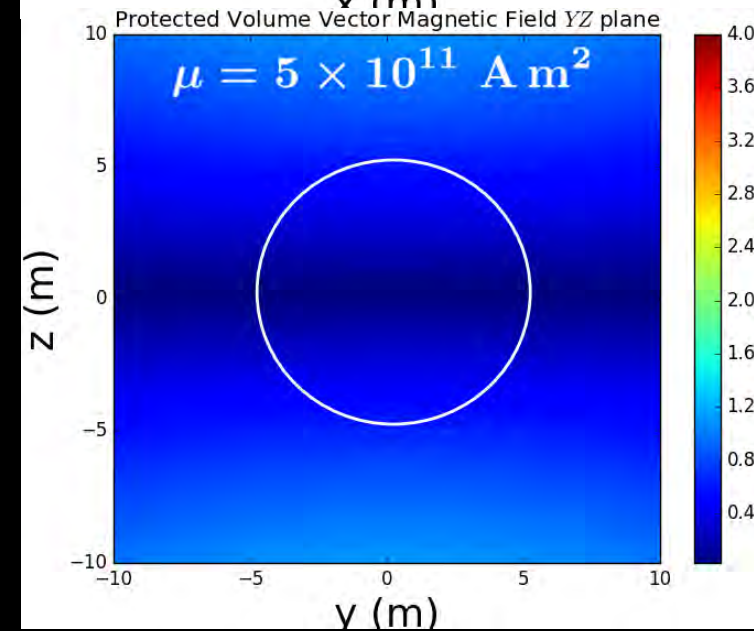


Two-loop magnetic “null”

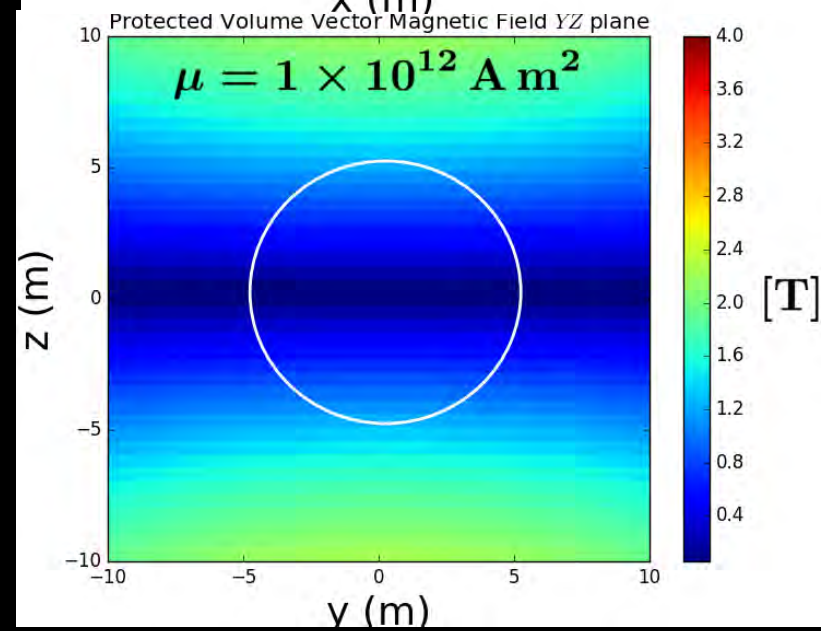
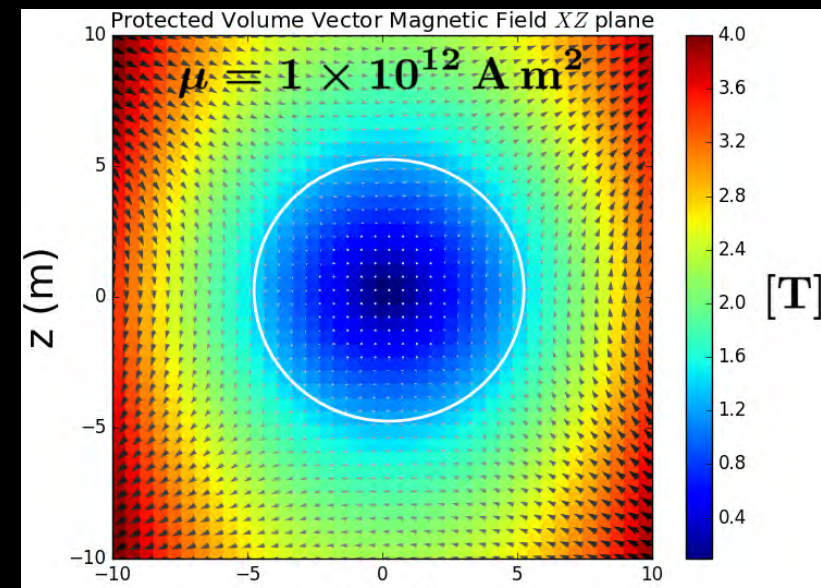
Magnetic Field Environment



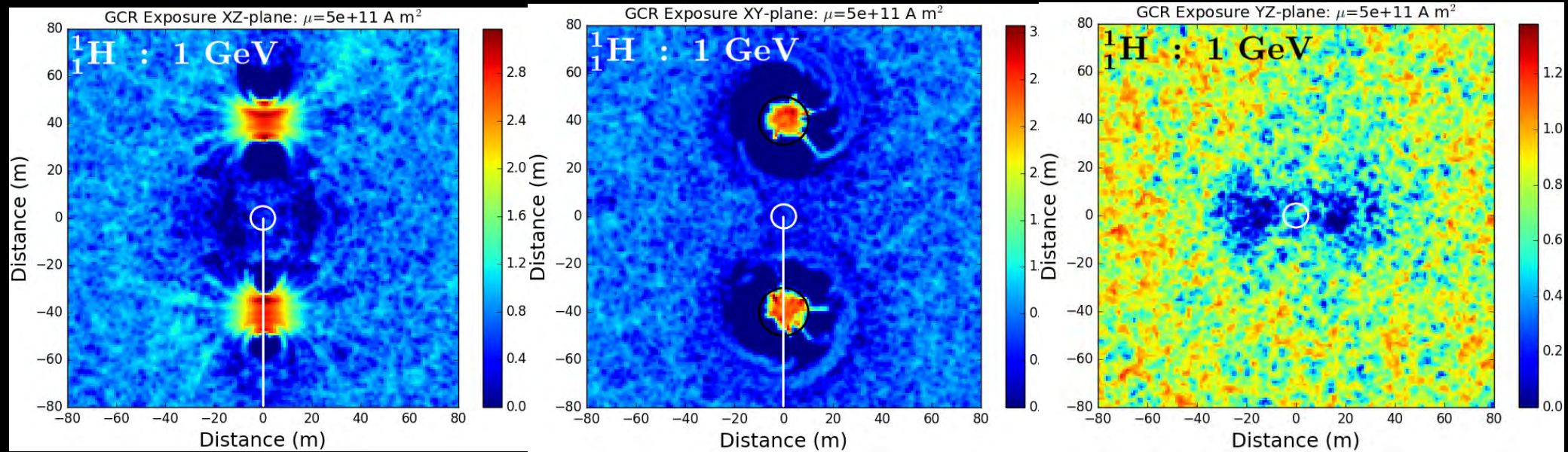
**Deflect
protons**



**Deflect iron
nuclei**

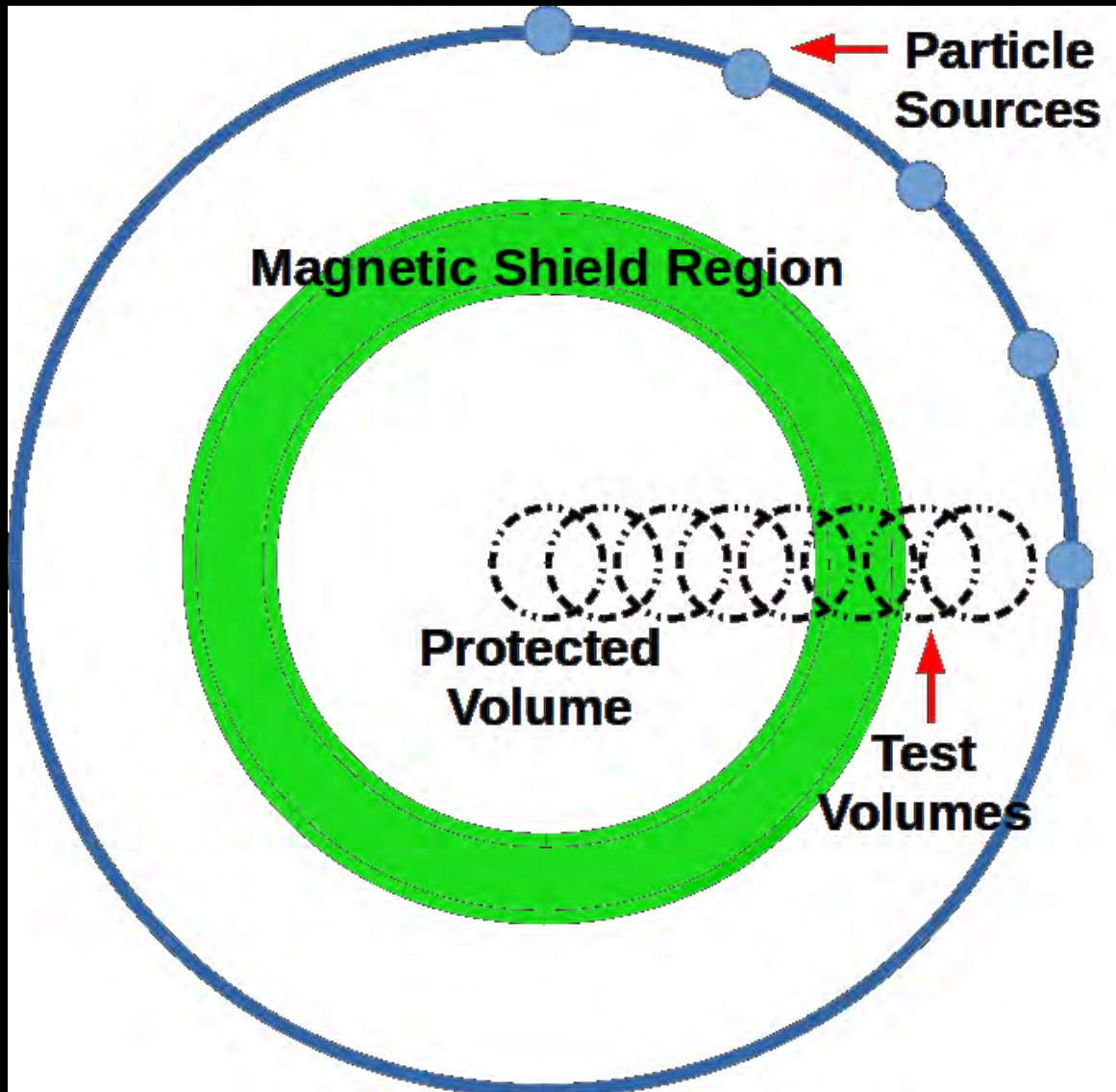


Simulations



Good news!

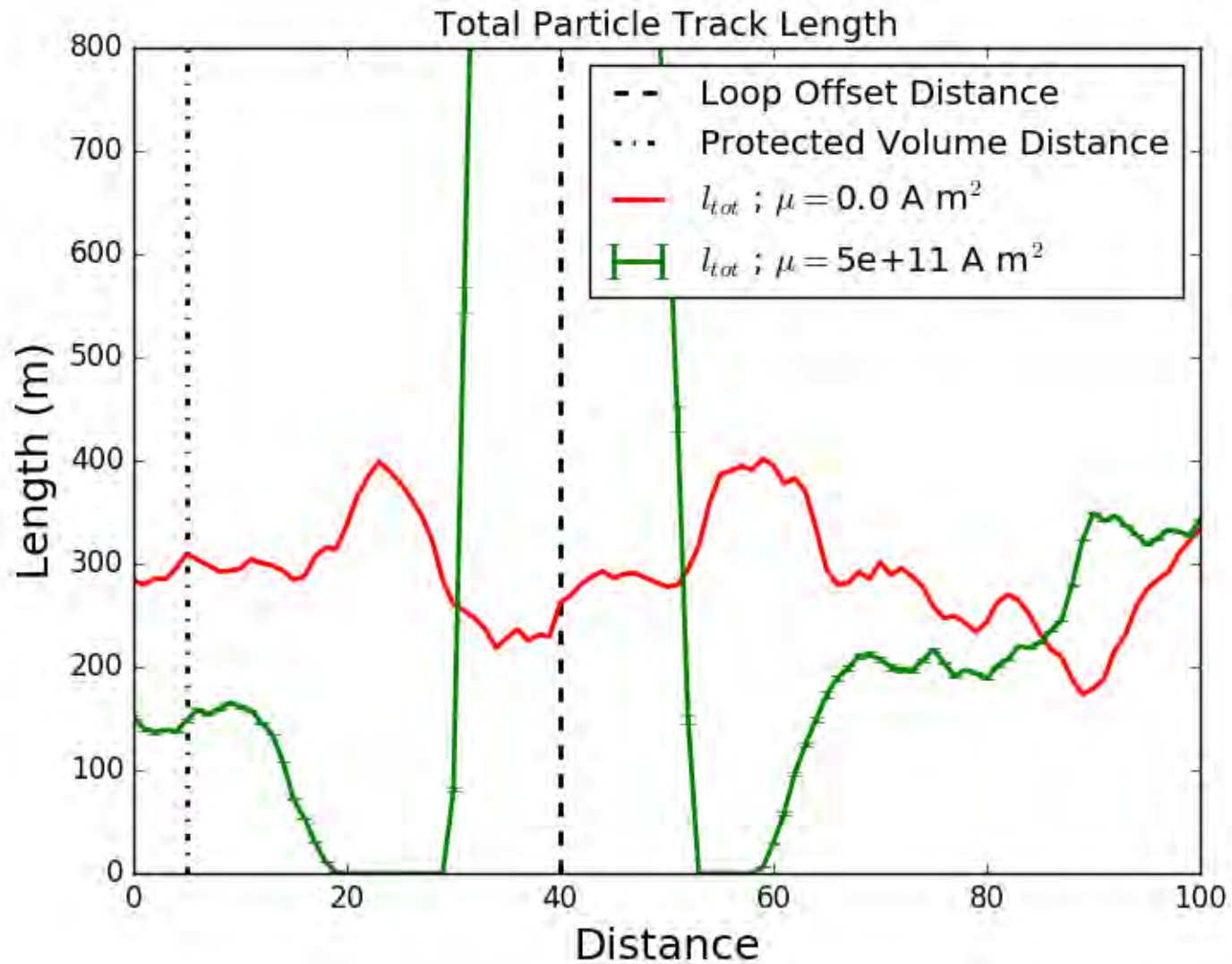
Diagnositics



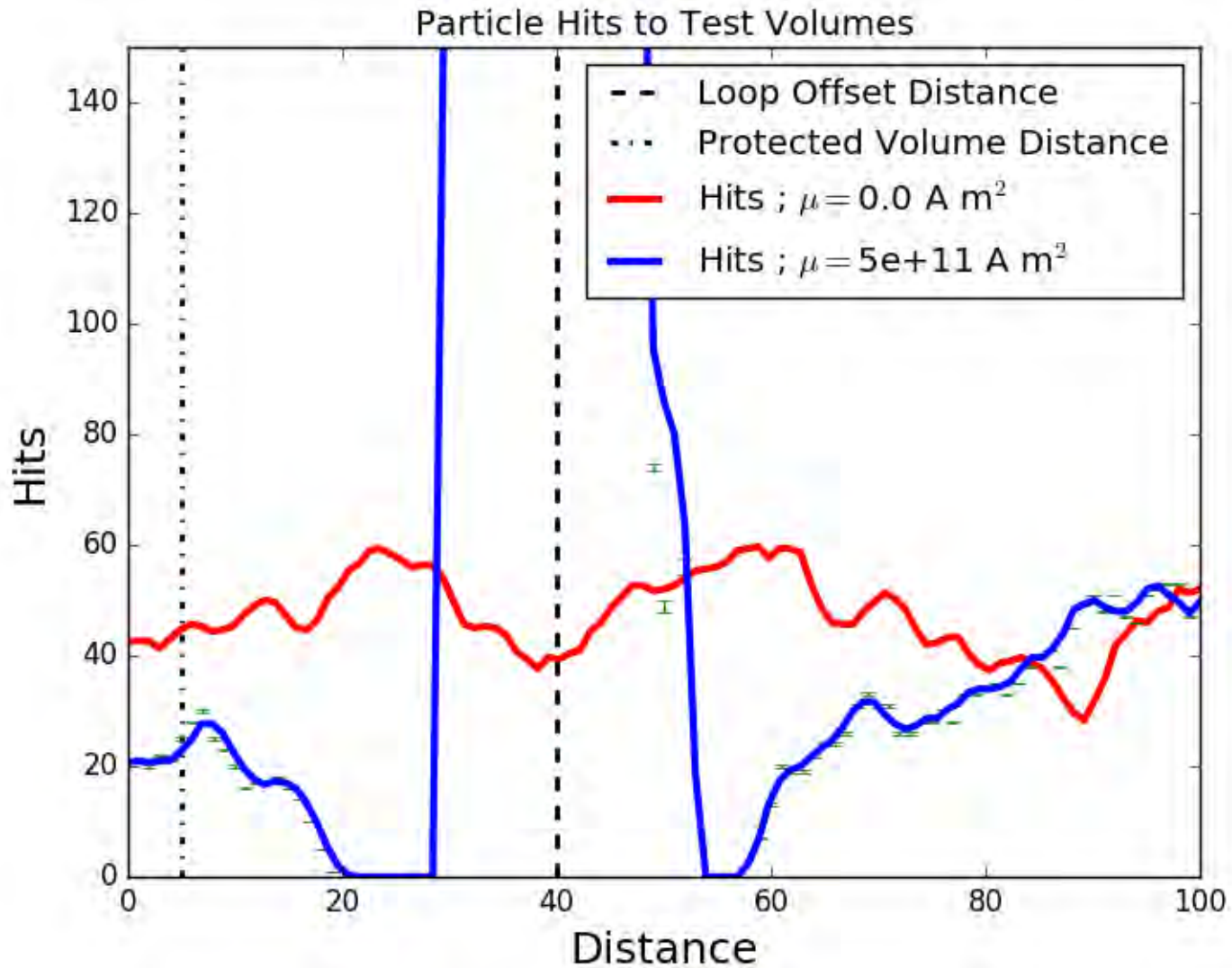
Track

- Number of entering particles
- Total track length

Diagnostics



Diagnostics



Diagnostics

Protected Volume

Ion	μ (A m ²)	n_{avg}	% Reduction	$l_{tot-avg}$ (m)	% Reduction
^1_1H	0	44 ± 0	–	290 ± 0	–
^1_1H	5×10^{11}	22 ± 0	$50 \pm 0\%$	142 ± 1	$51 \pm 1\%$
$^{56}_{26}\text{Fe}$	0	55 ± 0	–	349 ± 0	–
$^{56}_{26}\text{Fe}$	1×10^{12}	15 ± 0	$73 \pm 0\%$	100 ± 1	$71 \pm 1\%$

Great news!

Superconducting Loop Properties

Simulation Loops

μ (A m ²)	a (m)	r_{cs} (m)	Mass (kg)	I (A)	B_{max} (T)
5×10^{11}	10	1.02	1.84×10^6	1.59×10^9	323
1×10^{12}	10	1.44	3.67×10^6	3.18×10^9	559

NASA SLS Block 2 Payload = 130,000 kg

Bad news :(

Alternative Loop Properties

μ (A m ²)	w (μ m)	J_e (A m ⁻²)	r_{cs} (m)	Mass (kg)	I (A)	B_{max} (T)
5×10^{11}	3.50	7.14×10^9	0.27	1.26×10^5	1.59×10^9	1068
1×10^{12}	1.75	14.29×10^9	0.27	1.26×10^5	3.18×10^9	2136

Optimization

1. “Decentralize” magnetic energy
 - more dispersed = more loops
2. Reduce overall loop I , B , mass
3. Maximize the use of “forbidden zones”

Further use of superconductors?

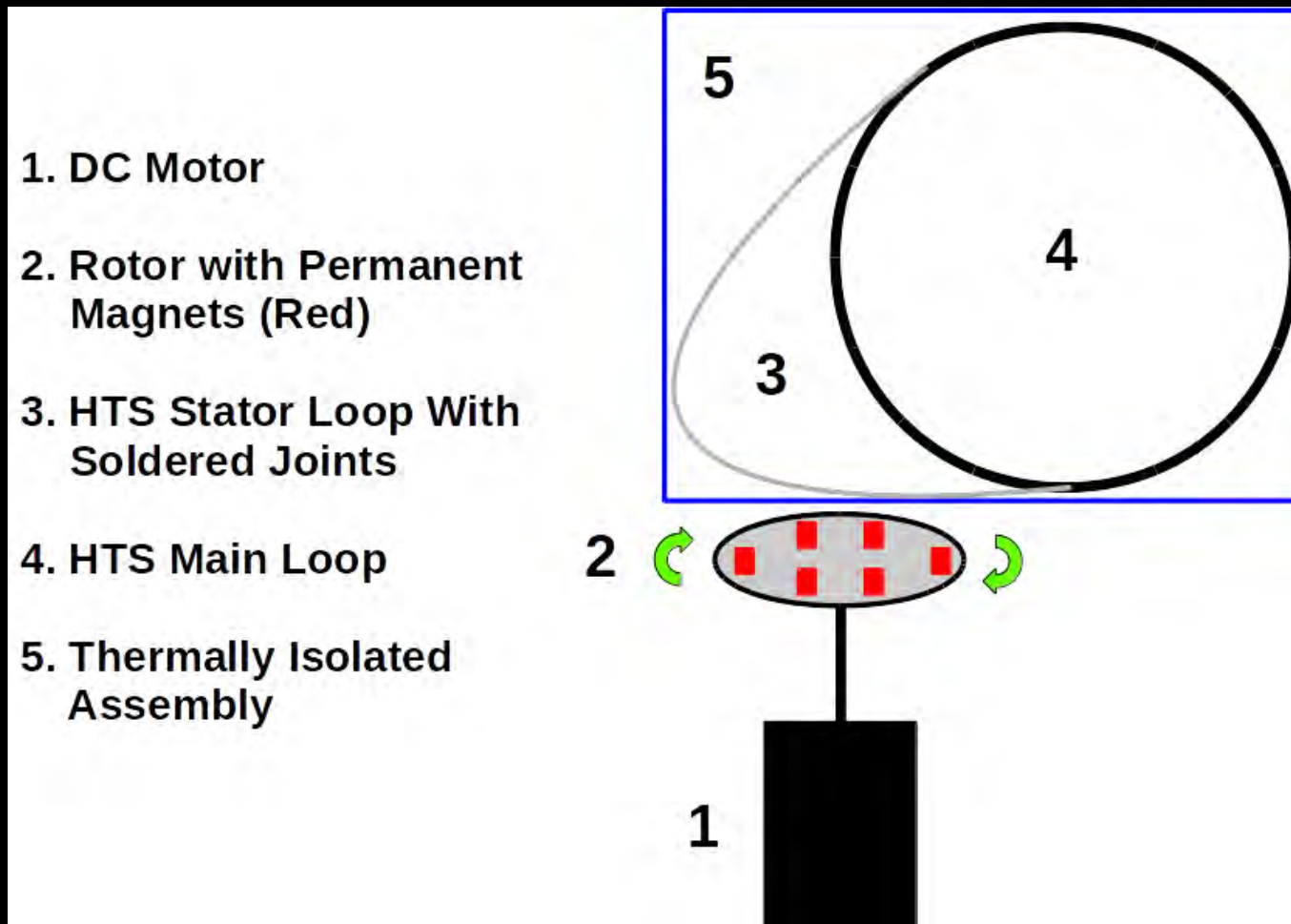
Superconductors in Space

- Superconducting magnetic energy storage (SMES)
- Docking and stability (magnetic levitation)
- Motors and MRIs



Charging Superconductors

Flux pumps



Conclusions

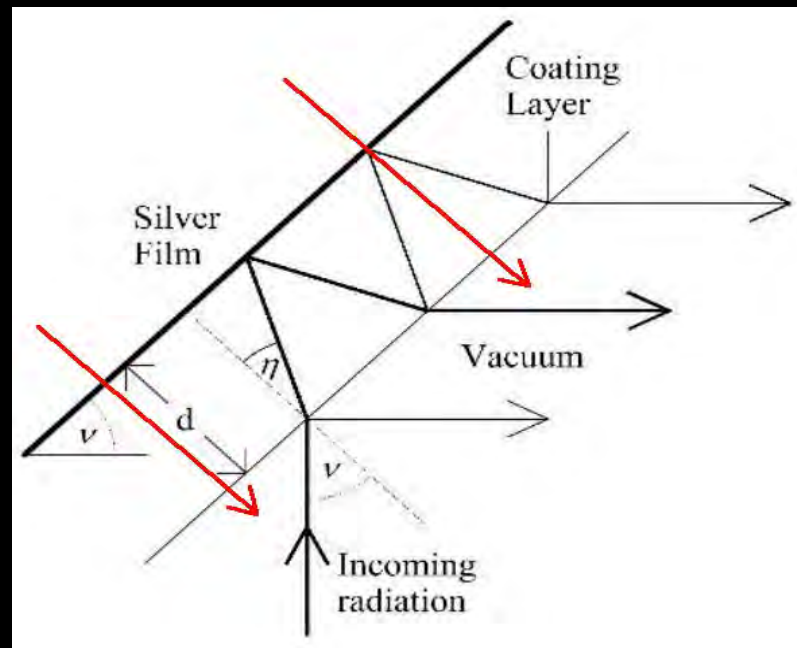
- Radiation mitigation is required for long duration exploration of space by humans
- Dispersed magnetic shield concept works, but needs *optimization*
- Synergistic combination of material shielding, magnetic shielding, and efficient propulsion

Thank You

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Thermodynamics



Youngquist & Nurge (2016)

$$J = \sigma A(T^4 - T_0^4)$$

Cryogenic Select Surfaces

Reflects 99.9% solar irradiance

Transmits long infrared radiation from interior

Result: Cryogenic temperatures below 50K

$$\Delta E = C\Delta T + \sigma A(T^4 - T_0^4)\Delta t$$

Attenuation coefficient $\alpha = \frac{J}{J_0}$

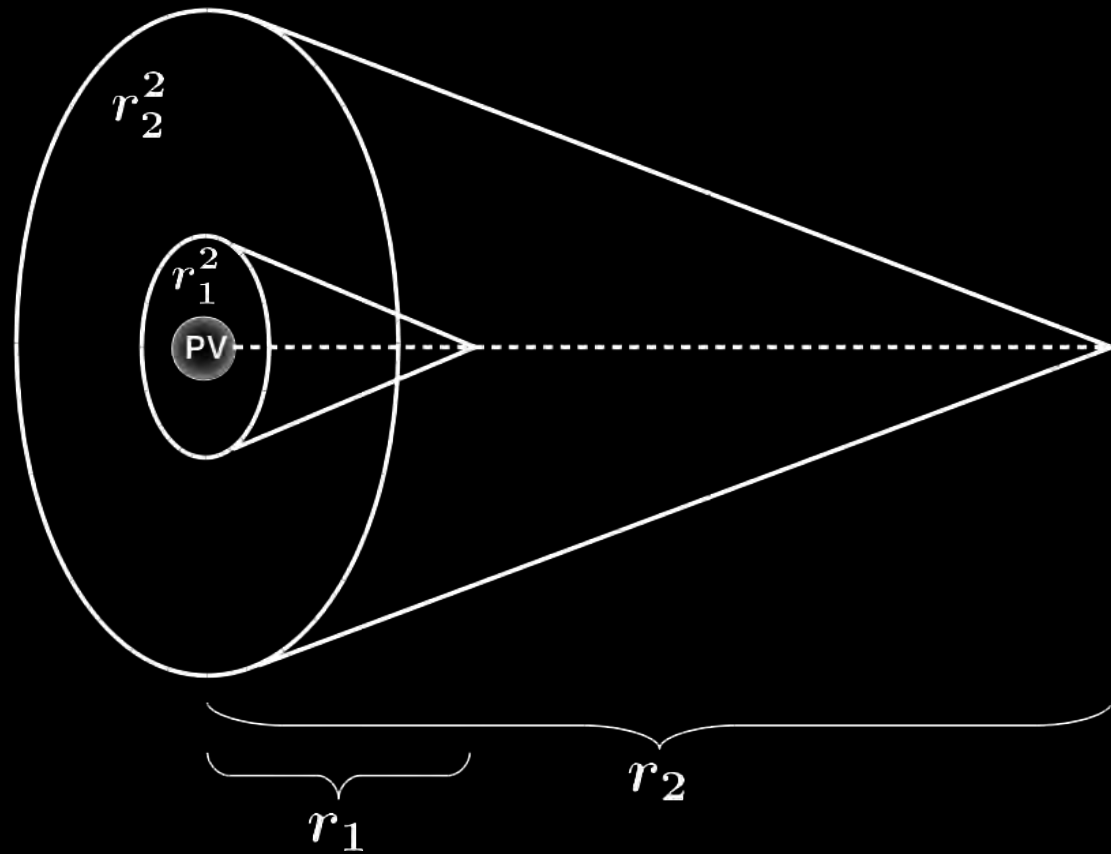
$$J = \frac{\Delta E}{\Delta t}$$

Limits of passive cooling

Secondary Particle Threat

$$\Omega_{PV} = \oint F_{\Omega} d\phi$$

$$\Omega_{PV} = \frac{A_{PV}}{r_{off}^2} \oint d\phi$$



Other Solution?

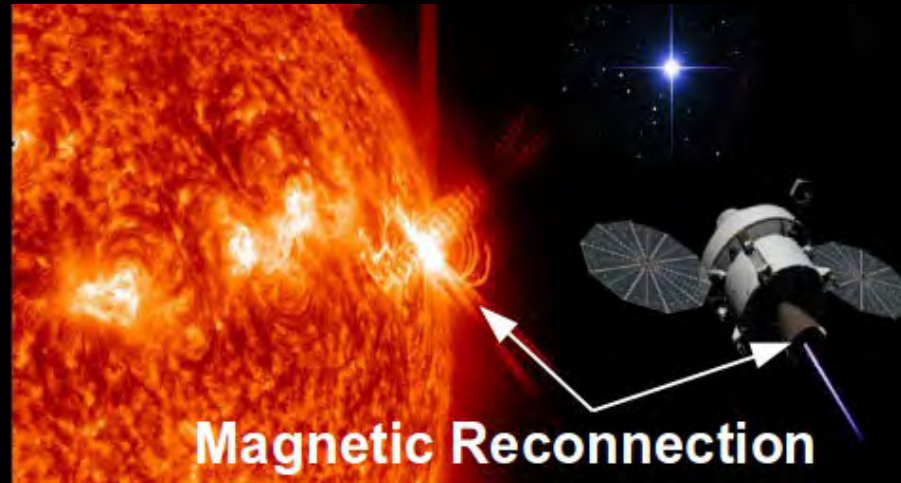
In the absence of a radiation shield – reduce exposure time

Increase thrust!

$$T = \dot{m}v_{ex}$$

What is the most efficient particle acceleration process in the solar system?

Magnetic Reconnection



Journal of Plasma Physics

Article

Metrics

Volume 83, Issue 6 December 2017, 905830602

Toward laboratory torsional spine magnetic reconnection

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<https://doi.org/10.1017/S0022377817000800> Published online: 06 November 2017 NASA ADS Abstract Service