



# Lawrence Berkeley Laboratory

UNIVERSITY OF CALIFORNIA

## Materials & Molecular Research Division

CROSSED BEAM REACTIVE SCATTERING OF OXYGEN ATOMS AND  
SURFACE SCATTERING STUDIES OF GASEOUS CONDENSATION

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(Ph. D. thesis)

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## ABSTRACT

A high pressure, radio frequency discharge nozzle beam source ~~has been~~ developed for the production of very intense ( $\geq 10^{18}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$ ) supersonic beams of oxygen atoms. This source is capable of producing seeded beams of ground state  $\text{O}(^3\text{P}_J)$  atoms when dilute oxygen-argon mixtures are used, with molecular dissociation levels exceeding 80% being realized for operation at pressures up to 350 torr. When dilute oxygen-helium mixtures are employed both ground state  $\text{O}(^3\text{P}_J)$  and excited state  $\text{O}(^1\text{D}_2)$  atoms are present in the terminal beam, with molecular dissociation levels typically exceeding 60% being achieved for operation at pressures up to 200 torr. Atomic oxygen mean translational energies from 0.14 to 0.50 eV ~~have been~~ obtained using the seeded beams technique,

with Mach numbers as high as 10 (FWHM  $\Delta v/v = 20\%$ ) being realized.

This beam source has been used to study a wide variety of elementary chemical reactions, under single collision conditions, in crossed beam scattering experiments. To date, reactions involving  $O(^3P_J)$  atoms and ICl,  $CF_3I$ ,  $CS_2$ ,  $C_6H_6$ ,  $C_6D_6$ , and  $C_6H_5CH_3$  have been studied, as have been the reactions of  $O(^1D_2)$  atoms with  $H_2$ ,  $D_2$ , and  $CH_4$ . In this thesis the ICl,  $CF_3I$ ,  $C_6H_6$ , and  $C_6D_6$  reactions are discussed in detail. The ICl and  $CF_3I$  studies have enabled us to determine an improved value for the bond energy of the IO radical:  $D_0(IO) = 55 \pm 2$  kcal/mole. The IO product angular and velocity distributions have been used to generate Center-of-Mass flux contour maps, which indicate that these two reactions proceed *via* relatively long-lived collision complexes whose mean lifetimes are slightly shorter than their respective rotational periods. The experimental product translational energy distributions are compared with theoretical predictions based on the statistical RRKM-AM unimolecular decomposition model. The  $O(^3P_J) + C_6H_6$  and  $C_6D_6$  reactions were studied in order to elucidate the reaction mechanism, and, in particular, to identify the primary reaction products produced in these reactions.

After the initial electrophilic attack on the aromatic ring, the reaction was shown to proceed *via* either hydrogen (deuterium) elimination or nonradiative decay of the initially formed triplet biradical to the  $S_0$  manifold of phenol. The branching ratio between these two reaction channels was found to be both isotope and energy dependent, with the addition channel being favored with respect to elimination for increasing collision energy and deuterium substitution. CO elimination was shown to be a relatively minor reaction channel, if it was occurring at all.

Finally, a series of beam-surface scattering experiments are described which examined the internal and translational energy dependence of molecular condensation probabilities for collisions involving either  $CCl_4$  or  $SF_6$  and their respective condensed phases. <sup>117</sup> It has been conclusively demonstrated that excitation of a polyatomic molecule's rotational and vibrational degrees of freedom can inhibit its probability of sticking upon impact with a cryogenically cooled surface. Scattered particle angular and velocity distributions have been obtained for  $CCl_4$ ,  $SF_6$ , and Kr which have also permitted a detailed analysis of energy and momentum exchange to be carried out for

collisions involving these species and their own condensed phases.

Dedicated to the memory of my sister, Sharon

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CROSSED BEAM REACTIVE SCATTERING OF OXYGEN ATOMS  
AND SURFACE SCATTERING STUDIES OF GASEOUS CONDENSATION

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## 1. INTRODUCTION

Molecular beam scattering experiments are unique in their ability to provide extremely detailed information on the dynamics and energetics of molecular interactions and elementary chemical reactions. By observing the asymptotic final state of scattered particles information can be obtained, in a very direct manner, on the potential energy surfaces which govern these interactions. In the gas phase, crossed beam experiments are very rapidly approaching the level of sophistication indicative of actual "state-to-state" chemistry, in which the colliding beams can be well-defined with respect to their velocity, angular divergence, internal quantum state (using laser pumping), and even, for certain favorable cases, spatial orientation. The angular distribution, final velocity distributions, polarization, and internal quantum state of the scattered products can presently be accessed in these experiments by a variety of highly specialized techniques. Beam experiments are therefore capable of providing a clear *microscopic* description of kinetic processes at the molecular level, in contrast to more traditional "bulb" studies which inherently deal with ensemble averages of microscopic kinetic phenomena. Furthermore, crossed beam studies are extremely useful for unravelling complicated kinetic mechanisms since these experiments can unambiguously

identify the primary molecular reaction products from isolated bimolecular reactive collisions. This is of especial importance in studying relatively "fast" reactions which involve transient atomic and radical species as the analysis of more traditional bulk kinetic studies can be severely hindered by multiple collisions, which in many instances obscure the primary pathway of these reactions.

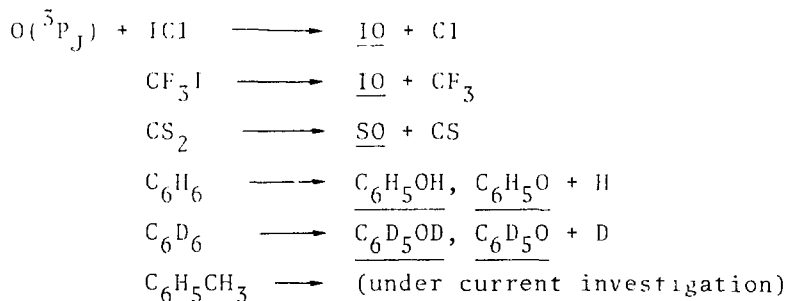
Heterogeneous interactions and reactions can also be studied in great detail with modern gas-surface scattering techniques. Here again, as in the gas phase, scattering experiments are unique in that the gas-surface interaction potential can be probed in a very direct way. Several molecular beam laboratories around the world are currently investigating elastic, inelastic, and reactive gas-surface scattering events, with very well characterized surfaces and incident beams, in order to formulate a microscopic description of heterogeneous interactions on the molecular level. Valuable information on gas-surface interaction potentials, and the bound levels these walls support, can be obtained from diffractive scattering experiments in which selective adsorption effects are observed. Structural information about single crystal surfaces, and surfaces containing adsorbed layers, can

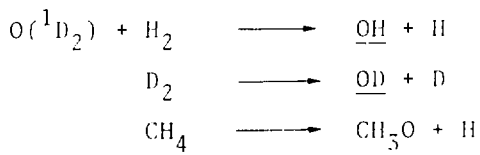
also be obtained due to the truly "surface sensitive" nature of gas-surface scattering experiments. Inelastic scattering studies can be used to probe a wide variety of heterogeneous energy exchange processes. There are even indications that the phonon dispersion relations of clean surfaces may be obtained from inelastic scattering studies employing high Mach number beams of either helium or atomic hydrogen. Perhaps most importantly, the dynamics and energetics of heterogeneous reactions can be studied in a very controlled manner, enabling researchers to understand the factors which dominate heterogeneous reaction kinetics.

Many major technological innovations have occurred in the past fifteen years which have enabled both crossed beam and gas-surface scattering experiments to be successfully carried out. In addition to the general improvement of ultra-high vacuum (UHV) technology, the foremost innovations have been the development by Lee et al.<sup>1</sup> of extremely sensitive "universal", differentially pumped, electron bombardment ionizer/quadrupole mass spectrometer detectors, and the development of a diverse assortment of high intensity beam sources. Of particular importance in this regard was the development of supersonic nozzle beam technology,<sup>2</sup> and the subsequent use of "seeded" beams<sup>3</sup> in scattering experiments. This allowed intense beams of

relatively narrow velocity dispersion to be routinely generated over a wide energy range, alleviating the need to use relatively low intensity, velocity selected effusive beam sources.

In Chapter II of this thesis the design, construction, and operation of a novel supersonic atomic oxygen nozzle beam source is described in detail. This source has successfully generated atomic oxygen intensities in excess of  $10^{18}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$ , with mean translational energies spanning the range from 0.14 - 0.50 eV being achieved with the seeded beam technique. In addition to producing  $O(^3P_J)$  atoms, this source is capable of generating beams of  $O(^1D_2)$  atoms when dilute oxygen-helium mixtures are discharged at high pressures. This capability is at the present time unique, and has allowed crossed beam reactions involving excited state  $O(^1D_2)$  atoms to be carried out. To date, the following crossed beam experiments have been conducted in our group at Berkeley:





The three  $\text{O}(^1\text{D}_2)$  reactions listed above were the first singlet oxygen atom reactions ever studied in crossed beam scattering experiments.

Chapter III describes the  $\text{O}(^3\text{P}_J) + \text{ICl}$  and  $\text{CF}_3\text{I}$  experiments, which were the initial systems studied with the high pressure plasma beam source. These experiments allowed us to determine an improved value for the IO radical's bond energy:  $D_0(\text{IO}) = 55 \pm 2$  kcal/mole. The IO product translational energy distribution for the  $\text{CF}_3\text{I}$  reaction agrees quite well with RRKM-AM predictions when the above IO bond energy is used in the statistical calculation. Also, the two reactions proceed *via* collision complexes whose mean lifetimes are slightly shorter than their respective rotational periods. The absence of ClO product in the ICl experiment also seems to indicate that the reaction proceeds adiabatically on a triplet potential surface, and that the least electronegative atom does rest in the central position of the triatomic reaction complex, in agreement with Walsh's electronegativity ordering rule.

The  $\text{O}(^3\text{P}_J) + \text{benzene}$  reaction, discussed in Chapter IV, was chosen for inclusion in this thesis as it clearly



demonstrates the utility of the crossed beams method for unambiguously identifying the reaction products of elementary reactions. The reaction was shown to proceed by the initial formation of a triplet biradical adduct, which subsequently decays *via* either hydrogen elimination or nonradiative transition to the  $S_0$  manifold of phenol. The branching ratio between these two reaction channels was found to be both isotope and energy dependent, with the addition channel being favored with respect to elimination for increasing collision energy and deuterium substitution. These experiments also indicated that CO elimination, if occurring at all, is a relatively minor reaction channel.

Finally, Chapter V describes a series of gas-surface scattering experiments which were conducted in order to study, on the microscopic level, the process of gaseous condensation. In particular, the translational and internal energy dependence of molecular sticking probabilities were examined, along with the energy and momentum transfer characteristics of collisions involving  $CCl_4$ ,  $SF_6$  and Kr and their respective condensed phases. These studies conclusively demonstrate that excitation of a polyatomic molecule's rotational and vibrational degrees of freedom leads to an increase in its reflection

probability (decrease in sticking probability) upon collision with a cryogenically cooled surface, and that these internal energy effects become increasingly more important in the limit of low incident translational energy.

REFERENCES

1. Y. T. Lee, J. D. McDonald, P. R. LeBreton, and D. R. Herschbach, *Rev. Sci. Instrum.* 40, 1402 (1969).
2. J. B. Anderson, R. P. Andres, and J. B. Fenn, in Adv. Chem. Phys., Vol. 10, J. Ross, Ed. (John Wiley and Sons, New York, 1966), p.275.
3. N. Abauf, J. B. Anderson, R. P. Andres, J. B. Fenn, and D. G. H. Marsden, *Science* 155, 997 (1967).

## II. DEVELOPMENT OF A SUPERSONIC $O(^3P_J)$ , $O(^1D_2)$ ATOMIC OXYGEN NOZZLE BEAM SOURCE

### INTRODUCTION

The interactions and reactions of oxygen atoms are of considerable interest and importance due to the fundamental role they play in combustion processes and atmospheric chemistry. The reactions of ground state  $O(^3P_J)$  atoms are of particular interest to researchers studying high temperature combustion processes,<sup>1</sup> laser systems based on the reactions of oxygen atoms which lead to products having vibrationally inverted population distributions,<sup>2</sup> and surface chemistry.<sup>3</sup> A thorough understanding of ground state oxygen atom chemistry is also of immediate practical importance since the space shuttle will orbit the earth at altitudes where the major constituent of the atmosphere is  $O(^3P_J)$  atomic oxygen. The reactions of excited state  $O(^1D_2)$  atoms are of primary importance due to their major role in the chemistry of the stratosphere.<sup>4</sup> The ability of singlet oxygen atoms to insert in a variety of chemical bonds also makes their chemistry a fascinating subject to explore.<sup>5</sup>

In our laboratory a high pressure, supersonic, radio frequency discharge nozzle beam source has been developed in order to determine the products, energetics, and reaction

dynamics of atomic oxygen reactions in crossed molecular beam scattering experiments. The motivation for constructing this nozzle beam source, rather than relying on much more simple effusive sources, is that supersonic nozzle sources characteristically produce beams of far greater intensity and smaller translational velocity dispersion than effusive sources.<sup>6</sup> The translational energy of nozzle beams can also be varied over a very wide range, from hypothermal to hyperthermal, by using the seeded beam technique.<sup>7</sup> In this technique the peak velocity of the "seed" gas velocity distribution can ideally approach that of the pure "carrier" gas for very dilute gas mixtures. This is accomplished by accelerating or decelerating the seed gas during hydrodynamic expansion through the nozzle by diluting it in either a lighter or heavier carrier gas. Supersonic beams therefore offer several clear advantages over simple effusive sources for conducting dynamical studies in molecular beam experiments.

The successful operation of a discharge beam source depends strongly on the characteristics of its plasma. In particular, the production of a stable and efficiently coupled high pressure discharge for the generation of atomic species is much more difficult than the production of a low pressure (~1 torr) discharge. Impedance matching

of the plasma to the radio frequency power source as a function of gas pressure, temperature, and composition is required. Plasma localization directly behind the orifice must also be achieved in order to limit atomic recombination before the expansion. Sufficient cooling of the nozzle in order to prevent melting of its orifice, and to limit atomic recombination at the nozzle walls (while not interfering with power coupling to the plasma) is mandatory. Finally, the high pressure plasma must operate in a stable, reproducible, and uniform discharge mode (no beads or streamers) whose temperature is sufficiently high to generate atomic species, but not high enough to melt the orifice of the nozzle. The beam source described in this paper meets all of the above criteria. A boron nitride skimmer is used and is found to be completely stable with respect to the seeded atomic oxygen beam.

Other high pressure atomic oxygen beam sources have been previously reported in the literature. Miller and Patch<sup>8</sup> have described in detail a radio frequency discharge beam source which produces ~35% dissociation at 60 torr for a 5% oxygen-helium mixture. Gorry *et al.*<sup>9</sup> have reported a microwave discharge source with dissociation characteristics similar to those of Miller and Patch. The impedance matching scheme, nozzle construction and,

in particular, plasma localization techniques described in this paper permit a higher degree of molecular dissociation to be achieved at significantly higher operating pressures than the sources mentioned above. The current limitation on the atomic oxygen beam intensity produced by our source is not atomic recombination at high pressures but rather the speed of the diffusion pump which backs the source region. In some cases the characteristics (for example, gas temperature) of the high pressure plasmas we have generated to date also become a concern when pressures exceeding 400 torr are used. The source has been operated at pressures exceeding 200 torr for oxygen helium mixtures with greater than 50% molecular dissociation, producing atomic oxygen intensities of  $\geq 5 \times 10^{18}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$ . Oxygen-argon mixtures have been discharged at pressures exceeding 300 torr with greater than 80% dissociation, and with measured atomic oxygen intensities of ca.  $5 \times 10^{17}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$ .

The beam source described in this paper was originally designed in order to produce intense supersonic beams of ground state  $\text{O}(^3\text{P}_J)$  atoms. However, we find that when dilute oxygen-helium mixtures are discharged the beam is composed of a mixture of atomic quantum states including excited state  $\text{O}(^1\text{D}_2)$  atoms. The concentration of  $\text{O}(^1\text{D}_2)$  atoms in this beam has proven to be of sufficient magnitude

to permit the study of  $O(^1D_2)$  reactions in crossed molecular beam experiments. This exciting development will eliminate the need to use powerful and expensive UV pulsed lasers for the photodissociative production of  $O(^1D_2)$  atomic beams when the presence of other chemical species in the beam, such as  $O(^5P_J)$  and  $O_2(^1\Delta_g)$ , will not seriously complicate the chemistry under study.

#### SOURCE DESIGN AND CONSTRUCTION

A cross-sectional view of the source mounted in the differential pumping region of our universal scattering machine is shown in Fig. 1, with an enlarged view of the internal source components and nozzle tip appearing in Fig. 2. The important design and construction considerations which led to this final form of our plasma beam source will now be discussed.

##### A. Nozzle Construction

The first question to be dealt with was that of nozzle material. Quartz and alumina were the two materials considered based upon their relatively high melting points. Initially 99.8% purity alumina tubes<sup>10</sup> with laser drilled holes were tested. They were unsatisfactory for two reasons.



They tended to crack when subjected to large thermal gradients, and arcing occurred between the outer surface of the alumina tubes and the radio frequency coupling coil whenever the outer diameter of the tube came into physical contact with the coil. After this brief test period it was decided that quartz nozzles would have to be fabricated. The final shape of these nozzles can be seen in Fig. 1(c) and Fig. 2(c). A water cooling jacket was incorporated in our final nozzle design to prevent the quartz orifice from melting and enlarging during the expansion of the extremely hot gas mixture. The nozzle tip geometry shown in Fig. 2(L) was ultimately found to be stable with respect to orifice enlargement. Here the water coolant flows directly over the junction between the inner, plasma containing tube (6 mm O.D. commercial grade fused quartz, 1 mm wall thickness, as bubble free as possible) and the quartz water jacket (12 mm O.D., 1 mm thick). The short tip on the front of the inner tube is approximately 1 mm long and allows the coolant to flow as close as possible to the orifice. This is important due to the poor thermal conductivity of quartz. In addition to preventing melting of the nozzle, water cooling is also desirable since the efficiency of

quartz to promote atomic oxygen recombination decreases with lower surface temperatures.<sup>11</sup>

Low electrical conductivity water of 5  $\mu$ mho/cm conductivity is used as the nozzle coolant and is flowed through the concentric water jacket at a rate of 10  $\text{cm}^3/\text{sec}$ . Use of regular conductivity water as the coolant is precluded due to excessive radio frequency power loss to the water. As an added benefit, the cooling jacket completely eliminated the arcing problem mentioned above. This arcing was found to occur for both alumina and quartz plasma containing tubes which were not physically separated from the coil by another insulating layer.

The nozzle fabrication procedure is quite reproducible and is briefly outlined here. The graded seal water inlet and outlet arms along with their solid quartz support rod (Fig. 2, E,G,H,I) are initially assembled and put aside for later use. Next, the inner tube is prepared. This preparation consists of three operations: Flaring one end just to clear the I.D. of the outer tube, creating the important tip on its front end (Fig. 2, L), and fusing three small quartz physical support standoffs to the inner tube. These three small "droplets" of quartz should be placed at 120° with respect to each other and positioned from 6-7.5 cm from the tip. They should be sized just to clear the

I.D. of the outer tube and will be used to hold the inner tube concentric with the water jacket. The inner tube assembly is then slid inside of the outer tube with the outer tube extending past the inner front tip by about 5 cm. At this time the three inner tube support standoffs are fused to the I.D. of the outer tube and should be adjusted until the two tubes are concentric. A ring seal is then made between the flared rear end of the inner tube and the outer tube. Quartz tubulations are then blown onto the outer tube which will ultimately be attached to the water coolant arms. Next, the 5 cm outer tube extension is pared off with a torch and a carbon tool. The objective of this is to create a 1 mm thick quartz face which seals off the front of the outer tube without touching the tip of the inner tube. This front surface should be as perpendicular as possible to the concentric tube axis and should be just shy of touching the inner tip. The assembly is completed by joining the inner tip and the newly created quartz nozzle face with a ring seal.

At this point the most critical stage of the nozzle fabrication procedure is carried out. The nozzle assembly, with the water arms still detached, is mounted in a glass-blower's lathe. The orifice is now blown on a spinning lathe in an operation requiring two people. Using a

hydrogen-oxygen flame the front face of the nozzle is heated at a wide angle until the quartz is ready to be blown. The flame is then quickly removed and a hole is blown in the tube. This hole should be slightly larger than the desired diameter of the nozzle orifice. One person now locally heats the tip of the quartz nozzle while the other simultaneously views the hole diameter with a 60X power measuring microscope. The hole is allowed to shrink slowly until the desired diameter is reached. Hole size readjustment can be carried out with this procedure until the orifice is within 0.005 mm of the desired diameter.

When an orifice of the desired size is obtained its straightness is always checked by placing a small positive pressure of oxygen behind the nozzle. This produces a small oxygen jet at the orifice. The shape profile of this jet is then made visible by aiming a small gas torch at the jet while the entire nozzle is rotated in the lathe. If any wobble or precession of the flame jet is detected the orifice is reblown. We consistently find that the straightest orifices are produced by shrinking a larger diameter hole down to the proper size rather than by enlarging a hole which is too small. Nozzle diameters are typically 0.076 mm for oxygen-argon discharges and

0.191 mm when oxygen-helium mixtures are used. The reasons for using two differently sized nozzles will be covered in the next section of this paper. Nozzle assembly is then completed by attaching the coolant inlet and outlet arms to the water jacket and by briefly etching the inner quartz tube with a dilute solution of hydrofluoric acid. This acid rinse is believed to inhibit atomic recombination on the walls of the tube.<sup>12</sup>

#### B. Electrical Design

Two distinct radio frequency circuit arrangements can be used for generating electrodeless discharges in gases.<sup>13</sup> One arrangement involves the use of a self-excited power oscillator. In this configuration the tube containing the gas to be discharged is placed through the tank coil of a free running power oscillator. Large amounts of radio frequency power can be coupled to a discharge in this manner, but it is inherently inefficient and can pull out of oscillation as the circuit loading changes. Loading variations can occur when the pressure of the discharge is varied over several hundred torr. Its most serious drawback is that impedance matching between the plasma and the oscillator's circuitry, while the oscillator is in operation, is very difficult to achieve. The other circuit

option, and the one which we have adopted, uses a driven oscillator-amplifier arrangement in which a variable frequency oscillator is separated from the load by one or more stages of amplification. In this manner the oscillator is very well isolated from load variations induced by changing plasma characteristics. More importantly, this arrangement allows the impedance of the gaseous discharge to be carefully matched to that of the radio frequency electronics. This ensures efficient use of the available radio frequency power. It also offers the desirable option of separating the electronics from the plasma coupling LC tank circuit.

The radio frequency (hereafter, RF) power for our beam source is supplied by a Viking Valiant radio transmitter which can deliver a maximum output of 140 watts over a continuously variable frequency range several hundred kilohertzwide, centered at 14 MHz. (It is difficult to obtain wide frequency tunability in the coupling tank circuit of this beam source at frequencies significantly higher than 25 MHz due to the stray capacitance associated with its physical layout.) When higher power levels are required a linear amplifier capable of providing RF output levels of up to ca. 750 watts is used. However, RF levels exceeding 200 watts are rarely needed due to the highly

efficient impedance matching scheme which is employed. The plasma coupling tank coil and capacitor can be seen in Fig. 1. The variable air capacitor (Bud #1615, 0-75 pf, 0.762 cm airgap) is mounted outside of the vacuum to facilitate the initial frequency matching of the coupling tank circuit to the electronics. A grid dip meter is used for this preliminary tuning of the beam source.

A novel impedance matching scheme is used which enables the source to operate routinely at a standing wave ratio (SWR) of less than 1.05:1. Impedance matching is necessary since the effective plasma impedance which varies as a function of plasma condition, is much larger than the 50 ohm output impedance of the electronics. Figure 3 shows a schematic outline of the impedance matching circuitry which can best be understood when viewed in two stages. First, a variable group tap on the tank coil (Fig. 2,A) is used to produce a large stepdown of the plasma impedance, as seen by the RF electronics, ideally to 50 ohms. This large stepdown of the plasma impedance is accomplished with the coupling coil-ground tap arrangement acting as an RF autotransformer. Since this is an RF circuit, the impedance transformation (for a uniformly wound coil) goes only approximately<sup>14</sup> as the square of the turns ratio,  $(N/n)^2$ , where N is the total

number of coil turns and  $n$  is the numbers of turns from the rear of the coil to the ground tap. This impedance transformation creates a large voltage stepup at the front of the coil (nearest the nozzle tip) and necessitates the use of a high voltage ceramic feedthrough for the RF return, as is shown in Fig. 1,J. This large, but approximate impedance transformation allows the RF power to be delivered to the beam source from a remote location by RG-215/U coaxial cable. In a procedure which must be carried out only once when the source is first constructed, the source must be repeatedly tested with the position of the ground tap varied in order to determine optimum placement of the ground tap. This placement is found by noting the tap location which minimizes the standing wave ratio between the final RF amplification stage and the tank circuit. For the source geometry shown in Fig. 1 the optimum tap locations are  $2\text{-}1/4$  turns from the rear end of the coil for discharging oxygen-helium mixtures at 200 torr, and  $2\text{-}1/2$  turns from the rear end for oxygen-argon discharges operated at up to 350 torr total pressure. Standing wave ratios are always less than 3:1 with these tap locations and are frequently much lower.



Next, a PI-network, series capacitor arrangement is used to critically fine tune the impedance match until standing wave ratios of 1.1:1 or less are achieved. This circuit arrangement represents a quite diverse impedance matching scheme in that the PI-network can be used to match purely resistive load mismatches while the series capacitor can be used for tuning out any reactive impedance components presented to the RF electronics by the plasma coupling tank circuit. We find that the circuit impedance changes when the plasma is first started, varies rapidly as the nozzle pressure is raised from 1 to about 50 torr, and then varies more slowly as the pressure is further raised to several hundred torr. It is also found to vary with RF power level and gas composition. These impedance variations arise from the changing reactance of the coupling coil, which can be attributed to the changing permeability of the region inside the tank coil. In the original design and testing of this circuit a highly variable PI-network, series capacitor arrangement was constructed having an intended circuit Q of 10. The equations used for the design of the PI-network<sup>15,16</sup> were (for  $R_1 > R_2$ ):

$$X_{C1} = \frac{R_1}{Q} \quad (1)$$

$$X_{C2} = R_2 \sqrt{\frac{R_1/R_2}{Q^2+1 - (R_1/R_2)}} \quad (2)$$

$$X_{L1} = \frac{QR_1 + (R_1R_2/X_{C2})}{Q^2 + 1} \quad (3)$$

where  $X_{C1}$ ,  $X_{C2}$ , and  $X_{L1}$  represent the reactances of the components shown in Fig. 3,  $R_1$  and  $R_2$  represent the impedances of the tank circuit and RF electronics, respectively, and  $Q$  is the quality factor of the matching network. Particular attention should be focused on  $R_1$  in the above equations, noting that it is related to the stepped-down resistive impedance of the gaseous discharge. The series capacitor, C3 in Fig. 3, completes the impedance matching circuitry and is varied during the SWR minimization procedure in order to eliminate any reactive components of the tank circuit impedance. In the initial design of this circuit both C1 and C2 were variable up to 750 pf and were comprised of several high voltage ceramic and air variable capacitors which were connected in parallel. Also in the initial design, capacitor C3 was variable up to 250 pf while the inductor, L1, had a maximum calculated inductance of 6.9  $\mu$ H. It consisted of a 7.6 cm diameter by 15.2 cm long, 15 turn tapped coil which was constructed out of 0.64 cm diameter copper tubing. The tap could be attached to

the coil in 30 positions distributed evenly along the length of the coil, making L1 values well below 1  $\mu$ H possible. This circuit worked very well but was eventually replaced (for ease of operation) by a slightly modified, commercially available network.<sup>17</sup> In this commercial unit C1 and C3 are 20-245 pf air variable capacitors, C2 is variable in discrete jumps up to 2160 pf, and L1 consists of a 5.1 cm diameter by 9.1 cm long, 9 turn coil which is tapped on its fifth turn for 14 MHz operation. The tuning of these impedance matching circuits is greatly facilitated by the continuous use of in-line RF wattmeters and a standing wave ratio bridge. Power coupling to the plasma is found to be extremely efficient ( $\geq 99\%$ ) and power levels must be carefully limited in order to avoid melting the orifice of the quartz nozzle. Stray RF fields radiating from the source have been minimized by completely enclosing the top of the beam source with electrically grounded copper mesh.

Figure 4 shows a block diagram of the RF circuitry. Note that the beam source is always operated in a doubly interlocked condition. Nozzle meltdown protection is provided by a paddlewheel flow switch<sup>18</sup> which can quickly turn off the RF power should the nozzle coolant flow rate drop below a predetermined level. Similarly, the RF

electronics are protected by a fast electronic meter relay which has been incorporated into an SWR bridge circuit. This relay can rapidly turn off the RF power when the SWR rises above some preset value, which is usually chosen as an SWR of 2.5:1.

Finally, we have been successful in localizing the plasma directly behind the orifice of the nozzle. This spatial localization of the plasma is of critical importance if an atomic beam of high molecular dissociation is to be produced from a high pressure discharge. Without this plasma localization at the nozzle tip extensive atomic recombination would occur. The localization has been achieved by placing around the nozzle tip (outside of the water jacket and *not* along the front face of the nozzle) a carefully shaped, electrically grounded block of aluminum (Fig. 2,J). The discharge appears to change gradually from an inductively coupled plasma at low pressures to a capacitively coupled discharge at high pressures. This coupling at high pressures occurs between the front, small diameter tank coil turns, and the grounded aluminum block. As this coupling becomes stronger the plasma localizes towards the front of the discharge tube. Photographic studies have shown that the discharge region protrudes past the front plane of the grounding block and actually

extends up to the nozzle tip, ensuring a high degree of molecular dissociation directly behind the nozzle at high pressures.

The tank coil (Fig. 2,D) has been differentially wound in order to further localize the plasma and to increase its energy density at high pressures. The first 6-1/2 coil turns nearest to the nozzle tip are 1.37 cm I.D. by 6.0 cm long while the 5 large turns are 5.08 cm I.D. by 6.5 cm long. The larger turns decouple from the plasma as the pressure is raised, and therefore the energy density of the localized plasma is considerably increased. The coil is constructed of 0.52 cm O.D. copper tubing and was wound around correctly sized metal tubes on a low-speed lathe. The small diameter coil windings should be uniformly spaced and carefully shaped in order to avoid any inhomogeneities in the RF field. These inhomogeneities, if present, can cause the uniform plasma to collapse into streamers at high pressures. The coil is water cooled with low electrical conductivity water at a flow rate of  $4 \text{ cm}^3/\text{sec}$  in order to improve the long term mechanical, and hence electrical, stability of the tank circuit. Also note that the entire tank circuit, as seen in Fig. 1, is floated with respect to electrical ground. That is required if the RF coupling and localization schemes, as described here, are to be effectively used.

The pumping requirements for this beam source vary greatly depending upon the gas mixture which is to be used. It was originally pumped by a 4200 l/sec diffusion pump which was separated from the source by a sliding gate valve. This pumping arrangement was recently replaced by an 8000 l/sec pump which was directly joined to the source. This large pumping speed is desirable while running high pressure oxygen-argon mixtures, for which the pressure must be kept below  $7 \times 10^{-5}$  torr. For higher background pressures the RF power decouples from the nozzle and a glow discharge of the entire source region occurs. This glow discharge is a problem which currently constrains the nozzle orifice diameter to 0.075 mm for gas mixtures containing argon. Nozzle pressures exceeding 350 torr have been successfully run with argon as the carrier gas. Helium seeded beams do not have this operational constraint. This allows much larger orifices to be used for helium seeded beams operating at high nozzle stagnation pressures, provided that sufficient pumping speed is available for backing the foreline of the diffusion pump.

Significant effort was also devoted to fabricating a skimmer which would not degrade when exposed to the atomic oxygen beam. Skimmers made of electrically conducting

materials, including stainless steel, were not stable over long time periods due to sputtering by high energy ions. Apparently, ions emanating from the nozzle were being accelerated towards the ground potential of these metallic skimmers. Boron nitride<sup>19</sup> skimmers with 0.81 mm openings were found to be completely stable with respect to the oxygen beam. The electrical insulating properties, machinability, and density of boron nitride actually make it an ideal skimmer material for use with this beam source.

### C. Source Operation

The tuning and operating of the beam source is quite straightforward. The plasma coupling tank circuit should first be tuned to the desired resonant frequency by adjusting the tank circuit's variable air capacitor, which is mounted on top of the beam source. The resonant frequency of this circuit can be easily monitored by placing the probe of a grid dip meter adjacent to the tank circuit capacitor, which is conveniently located outside of the vacuum. During this tune-up procedure the coaxial cable which brings the RF power to the source should be disconnected from the source to ensure correct tuning of the circuit. Next, the RF power should be turned on (~100 watts) with the impedance matching network and high power amplifier temporarily bypassed, and with the

nozzle evacuated to  $\leq 1$  torr. The variable frequency oscillator is then varied until the SWR between the beam source and the electronics is minimized. If the discharge is not ignited when the SWR minimum is reached the RF power should be quickly switched off and then on again. Invariably the discharge will be ignited by this procedure. Gas should now be flowed into the nozzle while simultaneously retuning the oscillator's frequency to maintain the SWR at a minimum. When pressures on the order of 100 torr are reached, the RF power level may be safely increased to sustain the discharge at higher pressures. The pressure may then be further increased, again with the simultaneous retuning of the RF electronics, until the final operating pressure is reached. We consistently find that the resonant frequency of the plasma coupling circuit increases slowly with increasing gas pressure. As an example of this, a 5% O<sub>2</sub>-He, 130 watt discharge is found to require a 0.006 MHz frequency increase when its pressure is raised from 120 to 220 torr. At this point the plasma should be switched off, the gas mixture in the beam source evacuated, and then the impedance matching circuitry along with any high power amplifiers inserted in-line. The source can now be reignited and tuned for optimum performance at high RF power levels. After a few minutes of operation at the final power and pressure settings the



electronics should again be slightly retuned to correct for any drift during this initial stabilization period. It should be clearly stated here that the minimum SWR which can be achieved *before* the matching network is connected is completely dependent on the placement of the coupling coil's ground tap (Fig. 2,A). As was discussed earlier, the correct location for this tap must be found in a trial and error process which need be done only once when the source is initially constructed.

After the overall tuning procedure has been completed the source can be operated without further major retuning for a period lasting several weeks. Typically the source is turned on by evacuating the nozzle to about 1 torr, switching on the RF power, and rapidly increasing the pressure to the desired operating level. Within a few minutes of reigniting the discharge the operating characteristics always return to their steady state value. Most importantly, the beam characteristics are extremely reproducible for day to day operation of the source, allowing experimental scattering data to be taken over a period several weeks long if necessary, without concern for fluctuating beam characteristics. The quartz orifice does not enlarge at all when the source is operated at the power levels discussed in the next section of this

paper. However, sputtering of the front surface of the quartz nozzle does place a limit on the lifetime of any given nozzle. This sputtering results when ions which leave the nozzle are accelerated back towards its front surface by the large RF fields present in that region. Periodic visual inspections of the nozzle tip are carried out to monitor the nozzle degradation. The nozzles are replaced when the sputtering erosion becomes severe. They can be recycled by rebuilding the nozzle face and reblowing the orifice. Some of the ions which emanate from the nozzle actually pass through the skimmer. These are deflected out of the beam by a 5000 V/cm deflecting field which is placed before the collision region of our apparatus (Fig. 1,N). The beam characteristics for different nozzles operated under the same conditions have been found to be fairly reproducible, with slight differences in Mach number and peak velocity being noted. These differences can be attributed to the slight coil shape and positioning changes which invariably occur during each reassembly of the beam source.

## BEAM CHARACTERIZATION

### A. Confirmation of Atomic Oxygen Production

The atomic oxygen beams produced by this beam source have been thoroughly characterized in order to improve our understanding of the source's operation and to optimize its performance. A wide variety of diagnostic techniques have been used for this analysis. Chronologically, our first goal was to experimentally verify the presence of oxygen atoms in the terminal beam. This was unambiguously demonstrated by measuring the differential elastic scattering cross section for O-He and O<sub>2</sub>-He in our universal crossed molecular beam apparatus.<sup>20</sup> In these measurements the elastically scattered mass 16 and mass 32 number densities were recorded, with the discharge on, when the oxygen beam was crossed at 90° with a supersonic beam of pure helium. For this preliminary experiment a 5% O<sub>2</sub>-Ar mixture was discharged in the source at 95 torr total pressure by 95 watts of RF power. The Newton velocity diagrams<sup>21</sup> for these two collision systems are shown in Fig. 5a, and clearly reveal how the presence of atomic oxygen in the terminal beam can be confirmed by these experiments. They show that the heavier molecular oxygen is kinematically constrained to scatter within a LAB angle

of approximately  $24^\circ$  while the lighter atomic oxygen, if present in the beam, could be scattered to  $44^\circ$  in the LAB reference frame. These differential cross sections would also be expected to have a rather broad peak in the vicinity of these cutoff angles due to the nature of the transformation Jacobian which relates the LAB and Center-of-Mass reference frames. Figure 5b shows the experimentally measured differential elastic cross sections for these two systems. The mass 16 (O-He) scan can be seen in this figure to have a qualitatively different shape from the mass 32 ( $O_2$ -He) scan. This difference indicates that the mass 16 signal does not exclusively come from the dissociative ionization of elastically scattered molecular oxygen in the ionizer of our quadrupole mass spectrometer. More importantly, the mass 16 scan does in fact peak and begin to fall off around  $40^\circ$  while for the mass 32 scan this occurs at  $20^\circ$ , in excellent agreement with the shapes predicted from the most probable Newton diagrams shown in Fig. 5a. The experimental curves actually extend past the predicted cutoff angles due to the finite spread of velocities in the two beams. The O-He experimental curve shown in Fig. 5b has been corrected for the dissociative ionization of elastically scattered molecular oxygen. We

conclude from the above data that oxygen atoms are definitely present and, in fact, they are more abundant than oxygen molecules in the terminal beam produced by our high pressure, RF discharge beam source.

#### B. Molecular Dissociation

The extent of  $O_2$  dissociation in the terminal beam has been carefully measured for several oxygen rare gas mixtures as a function of gas pressure and RF power. These measurements were made in our crossed beam apparatus with the triply differentially pumped mass spectrometer looking directly along the beam axis. The relative  $O$  and  $O_2$  number densities were actually measured by integrating the time-of-flight spectra of masses 16 and 32. We have opted to integrate these time-of-flight spectra rather than use our usual particle counting electronics in order to eliminate any possible contributions from VUV photons and high energy ions in the detected signals. This separation of the true signal from VUV photon and high energy ion contributions can easily be made in the time regime with our time-of-flight (hereafter, TOF) instrumentation since the interfering factors always have much shorter flight times than the true signal. The ion deflecting field mentioned earlier was held at a field strength of 5000 V/cm during these measurements and was

found to deflect virtually all of the ions emanating from the beam source. Only during very high power operation of the beam source did a few high energy ions apparently reach the detector.

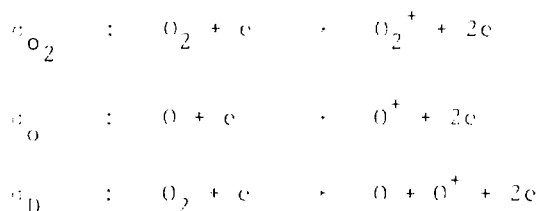
The TOF apparatus used in these studies consisted of a 17.78 cm diameter aluminum disk having four equally spaced 0.5 mm or 1.0 mm slots around its circumference. The disk was rotated at either 300 or 350 Hz during data acquisition. The detector aperture was narrowed to 0.125 mm diameter, and the distance between the TOF disk and the electron bombardment ionizer was 18.4 cm. The ionizer and quadrupole mass spectrometer have been previously described in detail,<sup>20</sup> and the ionizer's emission current was set sufficiently low to eliminate any space charge perturbations of the detected signal intensities and velocity distributions. A 256-channel scaler interfaced to an on-line NOVA minicomputer was used to record signal intensity as a function of flight time. The scaler was usually set at 2  $\mu$ s dwell time for the helium mixtures and 4  $\mu$ s for the argon mixtures.

The extent of molecular dissociation in the terminal beam was calculated with the following two equations:

$$R = \frac{N_o}{N_{O_2}} = \frac{(\sigma_D/\sigma_{O_2})}{\eta} \left( \frac{\sigma_{O_2}}{\sigma_o} \right) \left( \frac{I_o - \eta I_{O_2}}{I_{O_2}} \right) \quad (4)$$

$$\text{Percent Dissociation} = \frac{R}{R+2} \quad (5)$$

where  $I_0$  and  $I_{O_2}$  are the experimentally observed mass 16 and 32 number densities,  $\epsilon$  is the experimentally observed  $I_0/I_{O_2}$  count ratio with the discharge off, and the cross sections represent the following processes:



For ionization with 250 eV electrons:  $\sigma_{O_2} = 1.52 \text{ \AA}^2$ ,  $\sigma_O = 1.15 \text{ \AA}^2$ , and  $\sigma_D = 0.88 \text{ \AA}^2$ .<sup>22,23</sup> In their paper Miller and Patch<sup>8</sup> have used an equivalent expression for R, and have discussed the approximations and assumptions leading to the use of equations (4) and (5). The  $(\sigma_D/\sigma_{O_2})/\eta$  term corrects for any differential detection of masses 16 and 32 by our detector. This difference in detection probability, if present at all, is partially due to the differential transmission of  $m/e = 16$  and 32 through the quadrupole mass filter of our detector.

Figure 6 shows the pressure dependence of  $O_2$  dissociation for four oxygen-rare gas mixtures under a variety of

RF power settings. These curves reveal the unique operating characteristics of this beam source. The molecular dissociation is seen to depend only weakly on the nozzle stagnation pressure, varying only a few percent over a several hundred torr pressure range. The actual extent of molecular dissociation in the beam is also found to be quite high over this large pressure range. Argon seeded mixtures regularly achieve molecular dissociation levels of 80-90% while helium seeded mixtures operate with 50-65% dissociation. The weak pressure dependence and high dissociation levels described here can undoubtedly be attributed to the spatial localization of the plasma at the tip of the quartz nozzle. The dissociation percentages shown in Fig. 6 have been found to be reproducible to within about 5% for data taken over a several month time period with many different nozzles. Further examination of the curves shown in Fig. 6 indicates that the dissociation versus pressure curves for identical gas mixtures discharged by different RF power levels have similar slopes, with the higher power curves shifted to slightly greater dissociation. The 10% oxygen mixtures also appear to exhibit slightly lower dissociation values than their more dilute counterparts.

Figure 7 shows even more clearly the effect of RF power and  $O_2$  concentration on molecular dissociation.



Increasing the RF power from 130 to 195 watts is seen to raise the dissociation level by at most 10% for three different gas mixtures. The two upper curves of this figure also show that the extent of molecular dissociation is only mildly influenced by raising the  $O_2$  concentration from 5% to 10% when argon is used as the carrier gas. The 10%  $O_2$ -Ar mixture is seen from Fig. 7 to exhibit the same RF power dependence as the 5%  $O_2$ -Ar mixture, with its dissociation percentage lower by about 10%.

The information related in Figs. 6 and 7 has been very useful for optimizing the performance of our oxygen atom beam source. The very weak pressure dependences shown in Fig. 6 indicate that the nozzle stagnation pressure should be held as high as possible, subject to the limitations of plasma stability and pumping speed availability, without worry of severe recombination. These figures also tell us that 10%  $O_2$ -rare gas mixtures should be used rather than more dilute mixtures in order to increase the flux of oxygen atoms leaving the nozzle. Finally, Fig. 7 informs us that power levels approaching 200 watts should be quite adequate for dissociating molecular oxygen in seeded argon and helium gas mixtures. This is fortunate since power levels exceeding 200 watts lead to orifice enlargement when argon is used as the carrier gas. Power levels

exceeding 200 watts also appear to accelerate the quartz sputtering rate at the nozzle face for all gas mixtures tested.

### C. Velocity Analysis

The true, undistorted atomic oxygen velocity distributions produced by our beam source have been recovered from the convoluted experimental TOF distributions by correcting the observed spectra for instrumental broadening effects (shutter function and finite ionizer length) and ion flight time offset. The peak velocity and Mach number of these distributions have been found to vary with both nozzle stagnation pressure and RF power level. Figure 8 indicates the dependence of peak velocity on nozzle pressure for seven different gas mixture - RF power combinations. The effect of seeding is immediately apparent here, with the oxygen seeded in helium beams having much higher velocities than the oxygen seeded in argon gas mixtures. The mean energy of the atomic oxygen beams generated in our laboratory span the range from 0.1 - 0.5 eV, with the highest energies being obtained for 5% O<sub>2</sub>-He mixtures discharged with 200 watts. The shape of the curves shown in Fig. 8 indicates that velocity "slippage" occurs between the oxygen and carrier gases during the hydrodynamic nozzle expansion. Velocity slippage occurs when

the collision frequency is too low during the nozzle expansion to effect complete momentum and energy equilibrium between the seed and carrier species. Slippage is especially typical of low pressure, high temperature expansions due to the relatively low number density these systems have in the vicinity of the nozzle orifice. When slippage occurs it can usually be minimized by increasing the pressure behind the nozzle, which increases the number of collisions which occur during the expansion. This behavior is clearly seen in Fig. 8. The mixtures having helium as the carrier gas have their atomic oxygen peak velocities steadily *increasing* with increasing pressure until their terminal velocities are reached at pressures *approaching 150-200 torr*. The mixtures having argon as the carrier gas behave oppositely from this, with their *peak oxygen velocities decreasing* with increasing pressure until their terminal velocities are reached between 250 and 300 torr. The above behavior is expected since helium serves to accelerate atomic oxygen while argon decelerates atomic oxygen during coexpansion from the nozzle.

The influence of RF power on beam velocity has also been studied and is shown in Fig. 9 for four gas mixtures. In all cases the atomic oxygen velocity is found to increase monotonically with increasing RF power. This in turn

indicates that the effective plasma temperature does in fact rise with increasing RF power. The translational energy of the beam can therefore be tuned over a narrow energy range about 0.1 eV wide by simply varying the RF power used to run the discharge. This tunability may apply to an even broader energy range when power levels exceeding 200 watts are used for running oxygen-helium mixtures.

In these experiments the raw TOF data is always recorded as number density versus flight time. However, TOF spectra are more readily interpretable when displayed as flux versus velocity spectra. A typical TOF spectra is shown in Fig. 10 which represents the velocity distribution of a fast atomic oxygen beam. The correct Jacobian transformation,  $1/v^2$ , was used for converting this and other spectra from time space to velocity space, while the resulting distributions were then multiplied by  $v$  to effect the conversion from number density to flux. The oxygen seeded in helium distribution shown in Fig. 10 has a FWHM of 19% with a Mach number of 9.2 as calculated by a parametric fit to the deconvoluted distribution.<sup>24,25</sup> This should be compared to the width of an effusive beam whose velocity distribution is Maxwellian. Numerical solution of the transcendental equation which defines the two half intensity velocities of the distribution  $I(v) \propto v^3 \exp(-v^2/\alpha^2)$

shows that the FWHM of a Maxwellian flux distribution is ~95%. The relatively narrow velocity distributions produced by this beam source are one of its most important characteristics, and are in general indicative of beams produced from supersonic nozzle expansions. The slower oxygen seeded in argon beams have typically ~40% FWHM distributions with Mach numbers ranging from 3 to 4. In the future the use of neon rather than argon as the beam carrier gas may enable narrower moderate energy beams to be produced due to the smaller mass mismatch which exists between neon and atomic oxygen relative to that of argon.

The terminal Mach number of a beam is a parameter which is frequently used for characterizing the width of its velocity distribution. It is defined as the ratio of the mass flow speed to the local speed of sound in the beam,  $v/c$ , where  $c = (\gamma k T_b / m)^{1/2}$ ,  $\gamma$  is the usual ratio of specific heats at constant pressure to constant volume, and  $T_b$  is the temperature of the beam in the reference frame moving with the bulk velocity,  $v$ . For seeded gas mixtures which are expanded in the hydrodynamic regime (Knudsen number  $< 1$ ) collisions with the carrier gas initially accelerate or decelerate the seed gas depending on whether the carrier gas is lighter or heavier than the seed gas, respectively. Subsequent collisions during the expansion

then serve to "cool" the seed gas and to narrow the width of its velocity distribution.<sup>26</sup> The total number of binary collisions which occur during the expansion is proportional to  $n_0 D$ , the product of the particle number density at the orifice with the orifice diameter. Figures 11 and 12 show how the atomic oxygen Mach number varies respectively with nozzle stagnation pressure and RF power for several operating conditions of the beam source. The nearly linear Mach number versus pressure curves shown in Fig. 11 indicate that the cooling process does vary as described above, and is not complete. It is clear from the slope of the curves shown in Fig. 11 that further velocity distribution narrowing should be possible for operation at still higher stagnation pressures. This statement particularly applies to helium containing mixtures, where the addition of a Roots blower to our pumping system will enable the source to operate with higher nozzle pressures (or with a larger nozzle orifice, which would also increase the terminal Mach number of the beam). Figure 12 shows that the beam Mach number decreases as a function of RF power level. This is not surprising since the number density at the orifice decreases as  $1/T$ , where  $T$  is the effective plasma temperature at the orifice. It is nevertheless important to understand the actual extent of Mach

number degradation with increasing RF power since future operation of the beam source at higher stagnation pressures may require the use of higher power levels.

#### D. Plasma Temperature

The temperature of the gas at the nozzle orifice has been determined for a variety of source operating conditions with two different techniques. The first of these techniques depends on the flux change which occurs when the gas temperature at the orifice is varied. The flux emanating from the orifice at constant stagnation pressure depends on the gas temperature in the following way:

$$I(T) \propto n(T) \cdot v(T) \propto 1/\sqrt{T} \quad (6)$$

where the particle number density,  $n(T)$ , varies as  $1/T$  and the velocity of the particles emanating from the nozzle,  $v(T)$ , goes as  $\sqrt{T}$ . An approximate determination of the plasma temperature can therefore be made by measuring the pressure in the source with the discharge turned on and off:

$$\frac{P_1}{P_2} \propto \frac{\phi_1}{\phi_2} \propto \sqrt{\frac{T_2}{T_1}} \quad (7)$$

A Bayard-Alpert ionization gauge was used for making these pressure measurements, and the gas temperature with the discharge off was assumed to be 300K. Using equation (7) the plasma temperature for high pressure oxygen-helium mixtures is repeatedly found to range from 800-900K for 130 watt discharges, 850-1100K for 165 watts, and from 1150-1300K for 195 watts. Only a slight pressure dependence is observed, with the temperature tending to decrease slowly with increasing pressure. Oxygen-argon mixtures are found to be considerably hotter: 1300-1500K for 130 watts, 1600-1750K for 165 watts, and 1750-2050K for 195 watt discharges at high pressures. The oxygen-argon discharges also have much stronger pressure dependences than the oxygen-helium discharges, with their temperatures rising significantly as the stagnation pressure is lowered. As a specific example of this a 5% O<sub>2</sub>-Ar, 130 watt discharge was found to increase in temperature from 1400K to 1750K as the pressure was lowered from 250 torr to 100 torr. For this reason extreme caution should be taken when igniting (at low pressures) high power argon discharges. Immediately after igniting high power argon discharges the pressure should be quickly raised to at least 100 torr in order to avoid melting of the quartz orifice. The above temperature measurements are of course only approximate, but are very useful for day to day plasma characterization. Also note



that the electron temperatures in the plasma are much hotter than the above translational temperatures, with electron temperatures on the order of 10,000K or higher being achieved in the discharge.

More accurate plasma temperature determinations can be made by monitoring the mole fractions and velocity distributions of the three species (O, O<sub>2</sub>, and either helium or argon) which are present in the beam. These temperature determinations may be carried out by assuming the overall energy balance.<sup>27,28</sup>

$$(\sum X_i C_{p_i}) T_0 = \sum X_i C_{p_i} T_{bi} + \frac{1}{2} \sum X_i m_i v_i^2 \quad (8)$$

where  $X_i$  is the mole fraction,  $C_{p_i}$  the heat capacity,  $v_i$  the terminal velocity,  $m_i$  the mass, and  $T_{bi}$  the terminal temperature of each component of the beam, and  $T_0$  is the temperature of the gas at the orifice. The assumptions which must be made in order to calculate  $T_0$  from equation (8) have been thoroughly reviewed in Reference 8. The mole fractions of each component have been calculated using the molecular dissociation data which was discussed earlier, taken in conjunction with the known composition of the gas mixture under investigation. Figure 13 shows

the RF power dependence of gas temperature, at constant pressure, for three different gas mixtures. Once again we see that the argon containing mixtures generate significantly hotter plasmas and exhibit stronger power dependences than the helium containing ones. The data used in constructing these curves were intentionally taken at relatively high operating pressures in order to ensure the validity of equation (8). The pressure dependence of gas temperature, at constant RF power, has also been studied for several gas mixtures under a wide variety of operating conditions. These studies again indicate that the gas temperature decreases with increasing pressure. For example, helium containing gas mixtures typically decreased 200 degrees, from about 1000K to 800K, for a pressure change from 100 to 200 torr. Argon containing mixtures also exhibit this temperature decrease with increasing gas pressure. We also find that the assumptions which enable equation (8) to be used for calculating gas temperature appear to break down at low pressures for argon containing mixtures due to the poor quality of these expansions. This statement especially applies to high power, low pressure discharges which contain argon.

In a final attempt to gauge the true gas temperature at the orifice we have also measured the velocity distribution of a pure helium beam which was produced from a 200 torr, 175 watt discharge. Its peak velocity was found to be  $2.83 \times 10^5$  cm/sec. For an ideal nozzle expansion of a rare gas, where  $v = \sqrt{5kT_0/m}$ , this velocity corresponds to a gas temperature of 770K. This temperature can be considered to be in fairly good agreement with the temperatures determined above when we take into consideration the difference in gas composition which exists between this discharge and those previously discussed.

In concluding this section on plasma temperature characterization it should be mentioned that we have encountered some plasmas which were not suitable for generating atomic species. In particular, we have been unable to generate "hot" discharges for gas mixtures predominantly composed of helium when small nozzle orifices of  $\leq 0.127$  mm diameter were tested. These "cool" discharges would typically have temperatures on the order of only 400K for power levels up to 200 watts. These "cool" discharges are fortunately of little practical concern since orifices of  $\geq 0.180$  mm diameter are always used for running helium containing mixtures. The rate of gas flow out of the orifice is therefore seen to

influence the mode stability of discharges containing helium, with faster flow rates stabilizing the hotter mode (~1000K) relative to the cooler mode (~400K). Argon containing plasmas also have various discharge modes, with the two most important modes being the desired "hot mode" (~1750K) and the destructive "streamer" or "pencil" mode which can occur for operation at pressures in excess of 400-500 torr at high power levels. This latter mode is extremely hot and can cause rapid enlargement of the orifice. The inner diameter of the plasma containing quartz tube can influence the probability of this "hot mode" to "streamer mode" transition. The inner tube dimensions given earlier in this paper were chosen as a compromise between maximizing power coupling to the discharge and minimizing the probability of streamer formation at high pressures.

#### E. Beam Intensity

Absolute beam flux measurements have been carried out in a differentially pumped beam source test facility in which a Bayard-Alpert gauge having a 52 mm sidearm extension was used as the particle detector. For these measurements the long sidearm of the detector gauge was pointed directly into the beam and was terminated with a small 1.58 mm conical aperture. The pressure rise,  $\Delta P$ , which is registered

by the gauge when the beam is turned on can be used for calculating the absolute intensity of the beam when the distance between the source skimmer and the detector entrance aperture,  $d$ , is accurately known. This intensity determination is possible since the pressure rise,  $\Delta P$ , reflects the new rate equilibrium which is established between molecules entering the detector and those effusing from it. The rate at which molecules enter the detector can therefore be found by calculating the rate at which molecules effuse out of the detector. This effusion rate can be expressed as:  $\phi = \frac{1}{4} n_0 v_0 A$ , where  $n_0 = \Delta P/RT$ ,  $v_0 = \left(\frac{8kT}{\pi m}\right)^{1/2}$ ,  $A$  is the area of the detector entrance aperture, and  $T$  is assumed to be 300K. The long sidearm extension was added to the ionization gauge to ensure the validity of this last assumption. The absolute intensity of the beam in terms of solid angle units can be obtained by dividing  $\phi$  by  $\Delta\Omega$ , the solid angle subtended by the detector aperture, where  $\Delta\Omega = A/d^2$ . Examination of the above relationships reveals that the actual area of the detector aperture does not influence the outcome of the beam intensity determination as it cancels out in the final step of the calculation. The detector-skimmer distance,  $d$ , was fixed at 86.54 mm for these studies. Pure argon discharges which were operated at power levels between 165 and 195 watts at stagnation

pressures up to 350 torr were found to have beam fluxes of  $3.6 \times 10^{18}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$ . The atomic oxygen mole fraction present in the terminal beam of 10%  $\text{O}_2$ -Ar discharges, run under the same power and pressure settings as above, is known to be 0.15 from molecular dissociation experiments. By combining the above data the absolute oxygen atom flux produced by discharging oxygen-argon mixtures is found to be ca.  $5 \times 10^{17}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$ . Pure helium discharges which were run at 200 torr with power levels again between 165 and 195 watts produced beam fluxes of  $5.5 \times 10^{19}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$ . Combining this figure with the measured atomic oxygen mole fraction for 10%  $\text{O}_2$ -He discharges,  $X = 0.10$ , leads to an absolute atomic oxygen flux of ca.  $5 \times 10^{18}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$  for oxygen-helium discharges. The pure rare gas beam intensities produced by this source, as described above, are comparable in magnitude to the intensities which have been reported in the literature for other nozzle beam sources.<sup>29,30</sup> The ionization gauge readings which were used for these and subsequent beam intensity calculations were corrected for the differences in gauge sensitivity which exist for the various gases under study. The gauge readings were actually divided by 1.19, 0.15, and 0.85 in order to find the true pressure

changes due to Ar, He, and O<sub>2</sub>, respectively.<sup>31</sup> These represent the correct gauge sensitivity conversion factors as the detector gauge was calibrated for N<sub>2</sub>.

The pressure rises due to oxygen-rare gas beams were also measured in order to perform an approximate check on the atomic oxygen flux estimates described above. Predictions for the seeded beam pressure rises were based on the pure rare gas data, and were calculated in the following way:  $\Delta P_{\text{mix}}(\text{predicted}) = (X_{\text{RG}} + X_{\text{O}_2} (\frac{0.85}{S})) \Delta P_{\text{RG}}$ , where  $X_{\text{RG}}$  and  $X_{\text{O}_2}$  represent the rare gas and oxygen concentrations of the gas mixture,  $\Delta P_{\text{RG}}$  is the pressure rise registered by the gauge for a pure rare gas beam run under the same stagnation pressure and RF power settings,  $\Delta P_{\text{mix}}$  is the predicted gauge pressure rise due to the seeded beam, and S is the gauge sensitivity conversion factor for either helium or argon. The measured gauge pressure increases for oxygen-argon discharges agreed well with the predicted gauge deflections, falling consistently within 10% of  $\Delta P_{\text{mix}}$ . However, the measured pressure rises for oxygen-helium beams were usually 20% higher than the predicted gauge deflection. This discrepancy can be explained if the mole fraction of oxygen (O and O<sub>2</sub>) along the beam axis is larger in the terminal beam than in the initial gas mixture. This explanation is supported by the fact

that the heavier particles of a seeded gas mixture are preferentially focused on the beam centerline during hydrodynamic nozzle expansion,<sup>32</sup> and are attenuated less than lighter particles in the region between the nozzle orifice and the skimmer. In summary, we therefore find the atomic oxygen flux to be about  $5 \times 10^{17}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$  for oxygen seeded in argon beams and  $\geq 5 \times 10^{18}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$  for oxygen seeded in helium beams. For these determinations a  $40^\circ$  inner- $60^\circ$  outer cone angle, 0.82 mm diameter boron nitride skimmer was fixed at a nozzle-skimmer distance of 5.08 mm, a second collimating skimmer of 1.04 mm diameter was placed 31.78 mm from the orifice, and a flat slot of variable dimensions was placed 52.76 mm from the orifice in the wall which separated the differential and detector sections of the apparatus. The total gas flow emanating from the nozzle is typically 0.75 torr-1/sec for 200 torr, 165-195 watt oxygen-helium discharges (0.191 mm diameter orifice) and 0.25 torr-1/sec for 350 torr, 165-195 watt oxygen-argon discharges (0.076 mm diameter orifice).

The ability of this beam source to produce intense atomic oxygen beams at high pressures, without suffering significant intensity loss due to atomic recombination, is one of its most novel and important operating

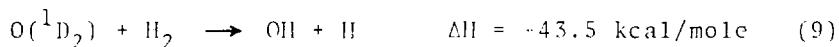


characteristics. This behavior is clearly demonstrated in Fig. 14 where the atomic oxygen number density, as measured with a quadrupole mass spectrometer, is plotted as a function of increasing stagnation pressure for four gas mixture-RF power level combinations. In Fig. 14a the relative  $m/e = 16$  number density is seen to rise linearly with increasing stagnation pressure over the entire pressure regimes which were explored for two argon containing gas mixtures: up to 300 torr for a 5%  $O_2$ -Ar, 165 watt discharge and 350 torr for a 10%  $O_2$ -Ar, 195 watt discharge. The 10%  $O_2$ -He, 165 watt number density curve shown in Fig. 14b behaves in a similar manner, up to a maximum pressure of 200 torr, as those described above. However, the 5%  $O_2$ -He, 130 watt curve shown in this figure turns over at pressures higher than 200 torr. This indicates that power levels  $\geq 165$  watts should always be used for running oxygen-helium discharges above 200 torr total pressure. The  $m/e = 16$  curves shown in Fig. 14 have all been corrected for the slight contributions arising from dissociative ionization of the molecular oxygen which is present in the beam. The high pressure segments of these curves are also representative of the relative atomic oxygen fluxes produced by this source, as a function of increasing pressure, due to the weak dependence beam velocity has on gas pressure at high stagnation pressure.

### F. $O(^1D_2)$ Production

When dilute oxygen-helium gas mixtures are discharged in this beam source a mixture of atomic oxygen quantum states including ground state  $O(^3P_J)$  and excited state  $O(^1D_2)$  atoms is present in the terminal beam. When helium is used as the carrier gas the  $O(^1D_2)$  flux has in fact proven to be of sufficient magnitude to permit differential reactive scattering experiments to be carried out. This represents a very significant development in the realm of molecular beam technology as prior to this no other  $O(^1D_2)$  beam source has been reported in the literature.

$O(^1D_2)$  production was experimentally confirmed in our universal crossed molecular beam apparatus by observing the production of OH from the reaction



For this study a supersonic hydrogen beam (peak velocity =  $2.66 \times 10^5$  cm/sec, Mach number = 21) was collided at  $90^\circ$  with an oxygen seeded in helium beam (peak atomic oxygen velocity =  $2.38 \times 10^5$  cm/sec, Mach number = 9) at a relative collision energy of 2.7 kcal/mole. The oxygen beam was produced by discharging a 200 torr, 5%  $O_2$ -He gas mixture

with 200 watts of RF power. Under these experimental conditions the OH could not have been produced by the ground state reaction



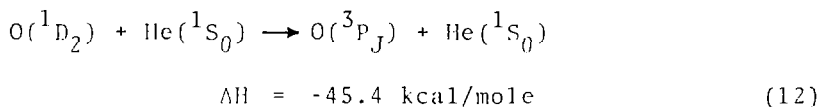
due to the large 8.9 kcal/mole activation energy<sup>33</sup> which is associated with this process. Further support of the Reaction (9) process comes from the angular and velocity distributions of the OH reaction product. The OH LAB angular distribution shown in Fig. 15 extends as far as the OH( $v=0$ ) Center-of-Mass velocity circle permits based upon a reaction exoergicity of 43.5 kcal/mole, while the OH velocity distributions obtained with cross correlation time-of-flight techniques<sup>34,35</sup> fall off with velocities indicative of this exoergicity. These experimental distributions also indicate that the concentration of O( $^1S_0$ ) atoms in the terminal beam must be extremely low as no OH product was observed at the high energies characteristic of the process



When 10% O<sub>2</sub>-He gas mixtures were discharged rather than

5% O<sub>2</sub>-He mixtures a 30% decrease in OH signal was observed relative to the 3000 counts/sec counting rate of the more dilute mixture. This indicates that the number of collisions occurring between O(<sup>1</sup>D<sub>2</sub>) atoms and other oxygen species should be minimized during the expansion if extensive quenching of the O(<sup>1</sup>D<sub>2</sub>) is to be avoided. When dilute oxygen-argon gas mixtures were tested no OH product was detected, indicating that, within the accuracy of the determination, oxygen seeded in argon beams contain no O(<sup>1</sup>D<sub>2</sub>). This is fortunate as it enables O(<sup>3</sup>P<sub>J</sub>) reactions to be studied in an environment free of O(<sup>1</sup>D<sub>2</sub>) contamination when argon is used as the beam carrier gas.

The presence of O(<sup>1</sup>D<sub>2</sub>) in beams having helium as the carrier gas can be attributed to the extremely small quenching rate constant of the process



which has been experimentally found to be:  $k_{\text{O-He}}^{\text{Q}} < 10^{-16}$  cm<sup>3</sup> molecule<sup>-1</sup> sec<sup>-1</sup>.<sup>36</sup> This value can be compared to the "gas kinetic" rate constant in order to crudely estimate the number of collisions needed for quenching to occur:

$k_{O-He}^{GK} = 8 \times 10^{-10} \text{ cm}^3 \text{ molecule}^{-1} \text{ sec}^{-1}$ . This gas kinetic rate constant was approximated by  $k^{GK} = (\pi r_m^2) (\frac{8kT}{\pi\mu})^{1/2}$ , where  $r_m$  is the experimentally determined Lennard-Jones (12,6) parameter for  $O(^5P_J)$ -He collisions,<sup>37</sup>  $T$  is the plasma temperature, taken as 1000K, and  $\mu$  is the reduced mass of the collision partners. The above indicates that, on the average, about  $10^6$   $O(^1D_2)$ -He collisions must occur before quenching takes place. Since only about  $10^2$  collisions occur during the expansion<sup>38</sup> it is not surprising that some  $O(^1D_2)$  atoms are present in the terminal beam. In fact, most  $O(^1D_2)$  quenching probably occurs during collisions between  $O(^1D_2)$  and other oxygen species which are present in the beam. In contrast to this, the experimentally determined rate constant for  $O(^1D_2)$  quenching by Ar,  $k_{O-Ar}^Q = 3 \times 10^{-15} \text{ cm}^3 \text{ molecule}^{-1} \text{ sec}^{-1}$ ,<sup>36</sup> is only about three orders of magnitude smaller than the O-Ar "gas kinetic" rate constant,  $k_{O-Ar}^{GK} = 6 \times 10^{-10} \text{ cm}^3 \text{ molecule}^{-1} \text{ sec}^{-1}$ , which was calculated assuming a plasma temperature of 1500K and using the  $r_m$  value for  $O(^5P_J)$ -Ar given by Reference 37. The  $O(^1D_2)$ -Ar collisions therefore deactivate a significant fraction of the  $O(^1D_2)$  atoms during expansion, with the remaining  $O(^1D_2)$  atoms being deactivated by collision with the other atomic and molecular oxygen species which are present in the beam ( $k_{O-O_2}^Q = 3.7 \times 10^{-11} \text{ cm}^3 \text{ molecule}^{-1} \text{ sec}^{-1}$ ).<sup>36</sup> An analysis of the collision dynamics

for Reaction (9) is currently being prepared for publication, and will be presented elsewhere in the literature.

The pressure and power dependence of  $O(^1D_2)$  production has been examined for a 5%  $O_2$ -He gas mixture in our crossed beam apparatus. This was accomplished by monitoring, at the peak of the broad product angular distribution, the OH signal intensity coming from Reaction (9) as a function of beam source pressure and RF power level. Since the oxygen and hydrogen beam velocities are nearly equal the OH count rate is indicative of the  $O(^1D_2)$  particle flux. (Whereas if the hydrogen beam were much faster than the oxygen beam the OH count rate would be indicative of the  $O(^1D_2)$  number density at the collision center.) The curved shape of the intensity versus pressure data shown in Fig. 16a indicates that some  $O(^1D_2)$  quenching does occur at higher pressures, but not to the extent which would require operating the sources at pressures below 250 torr. The intensity versus RF power curves shown in Fig. 16b clearly indicate that higher source powers (and hence plasma temperatures) significantly increase the flux of  $O(^1D_2)$  emanating from the nozzle. In the near future gas mixtures composed of less than 5 percent oxygen will be characterized in order to determine the optimum oxygen-helium mixture for maximizing  $O(^1D_2)$  production.

## DISCUSSION

The high pressure, supersonic, radio frequency discharge beam source which has been described in the preceding sections of this paper offers several improvements in the important operating characteristics of beam translational energy, beam intensity, velocity distribution width, and beam composition when compared to either thermal or low pressure discharge effusive sources. For example, the atomic oxygen translational energies which have been accessed in our laboratory span the range from 0.1-0.5 eV, with future extension of this range up to 0.7 eV being possible for operation with dilute oxygen-helium mixtures. These energies are considerably higher than those accessible with effusive sources constructed from either thoria ( $\text{ThO}_2$ )<sup>39</sup> or iridium.<sup>40</sup> Also, the atomic oxygen intensity produced by an effusive thermal oven, operating with Knudsen number = 1, would be ca.  $4 \times 10^{16}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$ .<sup>41</sup> This intensity was calculated using an  $\text{O}_2$  pressure of 1 torr, a calculated equilibrium constant of  $K_p = 1.2 \times 10^{-2}$  torr for the process  $\text{O}_2 \rightleftharpoons 2\text{O}$  at 2500K, and assuming that the source orifice was 2 mm high. The fluxes available from low pressure discharge sources are comparable to this, with atomic oxygen fluxes of ca.  $3 \times 10^{16}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$  being realized for operation under effusive flow conditions (with 10% molecular

dissociation, a temperature of 350K,<sup>42</sup> Knudsen number = 1, and a slit height of 2 mm). The above atomic oxygen intensities are much lower than the measured intensities produced by our seeded nozzle source: ca.  $5 \times 10^{17}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$  for oxygen-argon mixtures and  $\geq 5 \times 10^{18}$  atoms  $\text{sr}^{-1} \text{sec}^{-1}$  for oxygen-helium mixtures. Also note that the Maxwellian velocity distributions typical of effusive sources are quite often too broad for carrying out well defined collision experiments, necessitating the use of mechanical velocity selectors which further reduce their intensity by at least an order of magnitude. It is therefore evident that the nozzle source described here is capable of producing atomic oxygen fluxes which are at least 1-3 orders of magnitude higher than those possible with conventional effusive sources, with the actual intensity gain depending upon the peak velocity and velocity widths which are used for this comparison. The high atomic oxygen fluxes produced by this source should permit extremely well defined collision experiments to be carried out in which the supersonic beam source would be coupled with either a high resolution mechanical velocity selector or with a magnetic sublevel quantum state selector in order to further define the atomic beam.



The ability of this source to generate seeded beams having high molecular dissociation at pressures up to several hundred torr total pressure is undoubtedly due to plasma localization at the nozzle tip and to the highly efficient power coupling which has been achieved between the RF tank circuit and the plasma. The use of radio frequency rather than microwave power simplified the above as radio frequency generated plasmas can be easily drawn out of the region enclosed by the coupling coil, while microwave generated plasmas tend to strongly localize in the region surrounded by the coupling cavity. The facile frequency variability and impedance matching of the RF circuitry described earlier also simplifies operation at high pressures. The water cooled nozzle, which ensures extremely stable and reproducible day to day operation of the source, would have to be replaced with a more cumbersome and less efficient oil-cooled design if microwave radiation were used. The ability of this source to generate terminal beams containing  $O(^1D_2)$  atoms is at this time unique, and would not have been possible if the discharge were removed from the region immediately behind the orifice.

The atomic oxygen is probably generated in the discharge by a variety of kinetic processes. Thompson<sup>43</sup> has shown, for low pressure discharges, that dissociation can

be directly induced by electron- $O_2$  collisions via the Schumann-Runge continuum  $O_2(^3\Sigma_g^-) \rightarrow [O_2(^3\Sigma_{u1}^-)] \rightarrow O(^3P_J) + O(^1D_2)$  for collision energies  $> 7.1$  eV. Metastable argon collisions could also lend to dissociation via this process.<sup>11</sup> Metastable helium atoms, due to their high energies, have the ability to Penning ionize molecular oxygen. Ionization in this manner, followed by dissociative recombination between  $O_2^+$  and an electron has been proposed as the primary source of atomic oxygen in oxygen-helium RF discharges.<sup>8</sup>

The generation of other atomic and electronically excited species should also be possible with this source. In our laboratory we have briefly tested dilute hydrogen-helium mixtures (125 torr total pressure, 145 watts) and have observed atomic hydrogen production. The generation of a supersonic molecular beam containing  $O_2(^1\Delta_g)$  *without* the simultaneous presence of atomic oxygen in the terminal beam should be possible. This could be accomplished by pulling the discharge back, away from the nozzle tip, and by introducing a small amount of mercury into the gas mixture. The resulting mercuric oxide coating located after the discharge zone would effectively remove the atomic species present in the gas.<sup>44</sup> The feasibility of generating atomic nitrogen beams with a high temperature

version of this source is currently being explored in our laboratory.

REFERENCES

1. J. T. Herron and R. E. Huic, *J. Phys. Chem. Ref. Data*, 2, 467 (1973).
2. S. J. Arnold and H. Rojasca, *Appl. Opt.* 12, 169 (1973).
3. R. J. Madix and A. A. Susu, *Surface Sci.* 20, 377 (1970).
4. W. D. McGrath and J. J. McGarvey, *Planet. Space. Sci.* 15, 427 (1967).
5. R. J. Cvetanović, *Advan. Photochem.* 1, 115 (1963).
6. J. B. Anderson, R. P. Andres, and J. B. Fenn, in *Adv. Chem. Phys.*, Vol. 10, J. Ross, Ed. (John Wiley and Sons, New York, 1966), p.277.
7. N. Abauf, J. B. Anderson, R. P. Andres, J. B. Fenn, and D. G. H. Marsden, *Science* 155, 997 (1967).
8. D. R. Miller and D. F. Pritch, *Rev. Sci. Instrum.* 40, 1566 (1969).
9. P. A. Gorry, C. V. Nowikow, and R. Grice, *Chem. Phys. Lett.* 49, 116 (1977).
10. AD-998 alumina: Coors Porcelain Company, Golden, Colorado, USA.
11. H. S. Johnston, *Gas Phase Reaction Kinetics of Neutral Oxygen Species*, Chemical Kinetics Information Center, Nat. Stand. Ref. Data Sys., Nat. Bur. Stand. 20, (U.S. Government Printing Office, Washington, D.C., 1968), p.4.

12. H. G. Wagner and J. Wolfrum, *Angew. Chem. Internat.*  
*Edit.* 10, 604 (1971).
13. F. K. McTaggart, *Plasma Chemistry in Electrical Discharges* (Elsevier, Amsterdam, 1967), p.38.
14. *The Radio Amateur's Handbook*, 46th ed., D. DeMaw, Ed.  
(ARRL, Newington, 1969), p.44.
15. *The Radio Amateur's Handbook*, 46th ed., D. DeMaw, Ed.  
(ARRL, Newington, 1969), p.49.
16. *Radio Engineering Handbook*, 5th ed., K. Henny, Ed.  
(McGraw-Hill, New York, 1959), Chap.18, p.23.
17. Model MN-2000: R. L. Brake Company, Miamisburg, Ohio,  
U.S.A.
18. Paddlewheel flowswitch: Perkin-Elmer Ultek, Inc.,  
Palo Alto, California, U.S.A.
19. Carborundum hot pressed boron nitride: Carborundum Co.,  
Refractories and Electronics Division, Latrobe,  
Pennsylvania, U.S.A.
20. Y. T. Lee, J. D. McDonald, P. R. LeBreton, and D. R.  
Herschbach, *Rev. Sci. Instrum.* 40, 1402 (1969).
21. M. S. Child, *Molecular Collision Theory* (Academic,  
New York, 1974), p.3.
22. W. L. Fite and R. T. Brackman, *Phys. Rev.* 113, 815  
(1959).
23. D. Rapp, P. Englander-Golden, and D. D. Broglia, *J.*  
*Chem. Phys.* 42, 4081 (1965).

24. J. B. Anderson and J. B. Fenn, *Phys. Fluids*, 8, 780 (1965).
25. J. J. Valentini, Ph.D. dissertation, University of California, Berkeley, California, 1976.
26. D. H. Levy, L. Wharton, and R. F. Smalley, in Chemical and Biochemical Applications of Lasers, C. R. Moore, Ed. (Academic, New York, 1977), Vol. 2, p.1.
27. D. R. Miller and R. P. Andres, in Sixth Rarefied Gas Dynamics, L. Trilling and H. Wachman, Eds. (Academic, New York, 1969), Vol. 2, p.1385.
28. D. R. Miller and R. P. Andres, *J. Chem. Phys.* 46, 3418 (1967).
29. J. G. Skofronik, *Rev. Sci. Instrum.* 38, 1628 (1967).
30. G. Scoles and F. Torello, "Production of Molecular Beams from Free Expanding Jets, Part I", Report of the Gruppodì Struttore Della Materia del C.N.R., August 1967.
31. Scientific Foundations of Vacuum Techniques, S. Dushman, and J. M. Lafferty, Eds. (John Wiley and Sons, New York, 1962), p.324.
32. J. B. Anderson, R. P. Andres, and J. B. Fenn, in Molecular Beams, J. Ross, Ed. (John Wiley and Sons, New York, 1966) p.312.

33. B. L. Kaulich, D. D. Drysdale, D. G. Horne, and A. C. Lloyd, Evaluated Kinetic Data for High Temperature Reactions (Butterworth, London, 1972), Vol. 1a, p.49.
34. V. L. Hirschy and J. P. Aldridge, Rev. Sci. Instrum., 42, 581 (1971).
35. E. Sköld, Nucl. Instrum. Meth. 65, 114 (1968).
36. K. Schofield, J. Photochem. 9, 55 (1978).
37. V. Aquilanti, G. Linti, E. Pirani, F. Vecchiocattivi, and G. G. Volpi, J. Chem. Phys. 65, 4751 (1976).
38. J. J. Valentini, private communication.
39. W. Espe, Materials of High Vacuum Technology Vol. 12 - Silicates, (Pergamon, Oxford, 1968) p.564.
40. P. L. Moore, P. N. Clough, and J. Geddes, Chem. Phys. Lett. 17, 603 (1972).
41. H. Pauly and J. P. Toennies, in Methods of Experimental Physics, R. Bederson and W. L. Fite, Lds. (Academic, New York, 1968), Vol. 7A, p.252.
42. D. St. A. G. Radlein, J. C. Whitehead, and R. Grice, Mol. Phys. 29, 1813 (1975).
43. J. B. Thompson, Proc. Roy. Soc. A. 262, 503 (1961).
44. A. M. Winer and K. D. Bayes, J. Phys. Chem. 70, 302 (1966).

FIGURE CAPTIONS

Fig. 1. Sectioned view of the plasma beam source mounted in a differentially pumped chamber. A-Lucite insulating flange. B-Nozzle coolant return. C-Quartz nozzle gas inlet. D-Cajon ultra-torr fittings. E-Nozzle coolant inlet. F-RF power input from RG-213/U coaxial cable. G-Variable air capacitor. H-Coupling coil coolant outlet. I-Coupling coil coolant inlet. J-Ceramic feedthrough for RF return and coil coolant. K-Ceramic feedthrough for RF input and coil coolant. L-Poly-Flo tubing sections. M-Stainless steel source chamber. N-Plates for 5000 V/cm ion deflecting field. O-1200 l/sec diffusion pump, differential region. P-4200 or 8000 l/sec diffusion pump, source region. Q-Epoxy resin mechanical support. R-Electrical ground wire. Not shown: Wire mesh RF shielding which covers the air capacitor/RF feedthrough assembly.

Fig. 2. Sectioned view of the internal source components. A-Variable ground tap. B-Swagelock reducer. C-Water-cooled quartz nozzle. D-Coupling coil. E-Quartz support rod for water inlet/outlet assembly. F-Swagelock union joining copper and



Polyflow tubing; C. Capon VCO fitting; B. Kovar-pyrex section; D. Graded seal, pyrex to vycor; E. Aluminum support block to electrical ground; F. boron nitride diaphragm, 0.85 mm. (1.4x enlargement of nozzle tip; arrow indicates low conductivity water flow direction).

Fig. 3. Impedance matching circuitry.

Fig. 4. Block diagram of the plasma generating electronics. The double solid line indicate the equipment used for high power operation, while the double dashed lines indicate the bypassing necessary for preliminary tune up of the source.

Fig. 5. a) Newton diagrams for  $0\text{ He}$  and  $0_2\text{ He}$  elastic scattering. b) Differential elastic scattering cross sections for  $0\text{ He}$  and  $0_2\text{ He}$ . The wide angle falloff of the  $0\text{ He}$  curve conclusively demonstrates atomic oxygen production.

Fig. 6. Pressure dependence of  $0_3$  dissociation:  
 ○ 5%  $0_2\text{-Ar}$ , 165 watts; ● 5%  $0_2\text{-Ar}$ , 150 watts;  
 ▲ 10%  $0_2\text{-Ar}$ , 195 watts; □ 10%  $0_2\text{-Ar}$ , 140 watts;  
 ■ 5%  $0_2\text{-He}$ , 150 watts; ▲ 10%  $0_2\text{-He}$ , 150 watts;  
 ◇ 10%  $0_2\text{-He}$ , 165 watts; - - - performance data for the source described in Reference 8.

Fig. 7. R.F. power dependence of  $O_2$  dissociation.  
○ 5%  $O_2$ -Ar, 250 torr; ● 10%  $O_2$ -Ar, 250 torr.  
□ 10%  $O_2$ -He, 175 torr.

Fig. 8. Pressure dependence of atomic beam velocity.  
○ 5%  $O_2$ -He, 130 watts; ● 10%  $O_2$ -He, 165 watts,  
△ 10%  $O_2$ -He, 150 watts; □ 10%  $O_2$ -Ar, 195 watts;  
■ 5%  $O_2$ -Ar, 165 watts; ▲ 5%  $O_2$ -Ar, 150 watts;  
◇ 10%  $O_2$ -Ar, 140 watts.

Fig. 9. R.F. power dependence of atomic beam velocity.  
● 5%  $O_2$ -He, 200 torr; ○ 10%  $O_2$ -He, 175 torr;  
■ 5%  $O_2$ -Ar, 250 torr; □ 10%  $O_2$ -Ar, 250 torr.

Fig. 10. Atomic oxygen velocity distribution for a seeded beam having a FWHM of 19%. The solid line is the deconvoluted best fit to the experimental data which yields a beam Mach number of 9.2.

Fig. 11. Pressure dependence of atomic beam Mach number.  
● 5%  $O_2$ -He, 130 watts; ○ 10%  $O_2$ -He, 150 watts;  
◇ 10%  $O_2$ -Ar, 195 watts; ▲ 5%  $O_2$ -Ar, 150 watts;  
□ 5%  $O_2$ -Ar, 165 watts; ■ 10%  $O_2$ -He, 165 watts.

Fig. 12. R.F. power dependence of atomic beam Mach number.  
○ 10%  $O_2$ -He, 175 torr; ▲ 10%  $O_2$ -Ar, 250 torr;  
● 5%  $O_2$ -Ar, 250 torr.

- Fig. 17. P.I. power dependence of plasma temperature.
- 10%  $O_2$  Ar, 200 torr; ● 10%  $O_2$  Ar, 200 torr;  
 □ 10%  $O_2$  He, 175 torr.

- Fig. 18. (a) Atomic oxygen number density as a function of pressure for argon containing mixture.
- 10%  $O_2$  Ar, 100 watts; ● 10%  $O_2$  Ar, 175 watts.
- (b) Atomic oxygen number density as a function of pressure for helium containing mixture.
- 10%  $O_2$  He, 100 watts; ● 10%  $O_2$  He, 175 watts.
- The  $\alpha$  curves have all been corrected for a light  $m/e = 16$  contribution arising from the relative ionization of  $m/e = 32$  in the electron bombardment ionizer.

- Fig. 15. Laboratory angular distribution of OH from the reaction  $O(^1D_2) + H_2 \rightarrow OH + H$  at a relative collision energy of 2.7 kcal/mole. The solid line is a calculated fit to the experimental data which employed a symmetrical center of mass product distribution for the OH product. The excellent fit between the calculated and experimental data, taken in conjunction with wide angle falloff ( $\sim 40^\circ$ ) of the distribution, demonstrates the presence of  $O(^1D_2)$  atomic oxygen in the terminal beam.

Fig. 16. a) relative  $0^1D_2$  intensity as a function of gas pressure for a  $5 \times 10_2$  Torr, 10 watt discharge. b) Relative  $0^1D_2$  intensity as a function of k.f. power level for a  $5 \times 10_2$  Torr mixture. ● 150 Torr total pressure; ○ 10 Torr total pressure. These curves indicate that the  $0^1D_2$  intensity is an optimum function of operating the source at high power and low gas set backs.

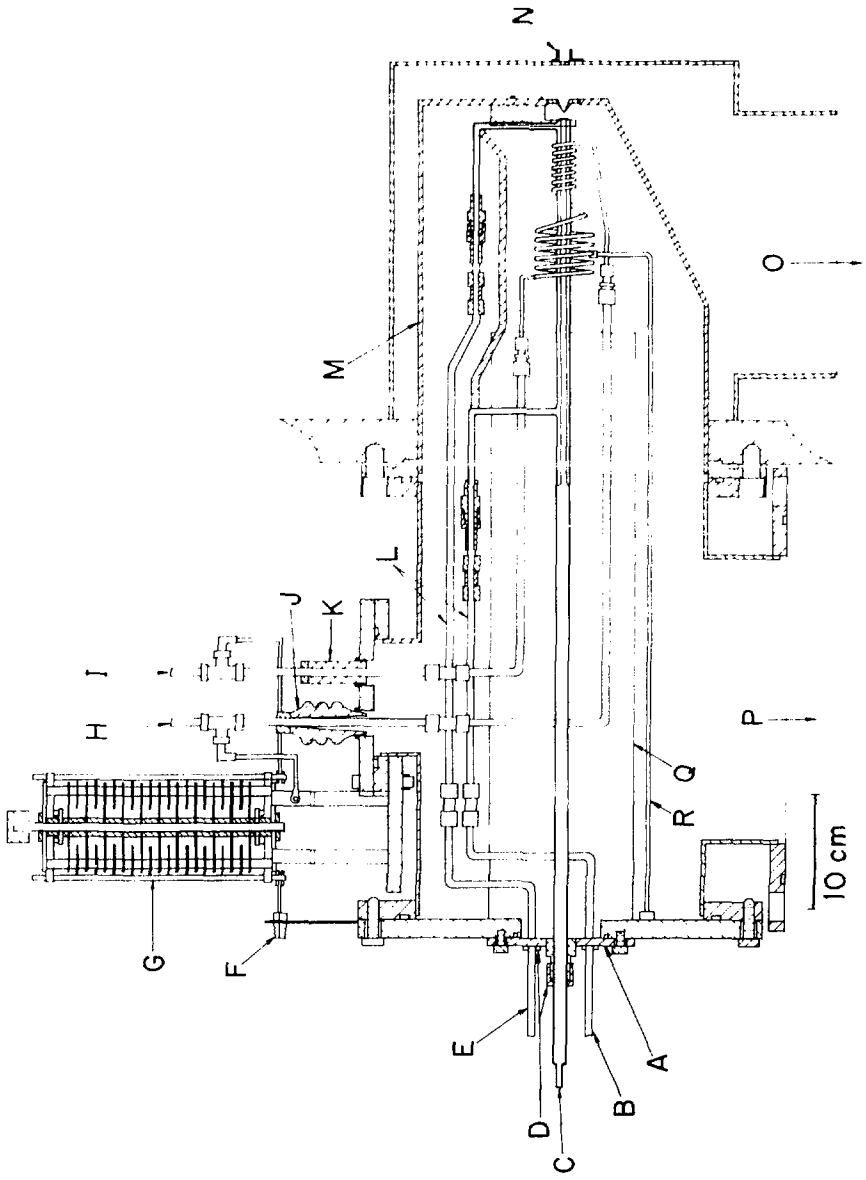


FIG. 1

U.S. PAT. 2,728

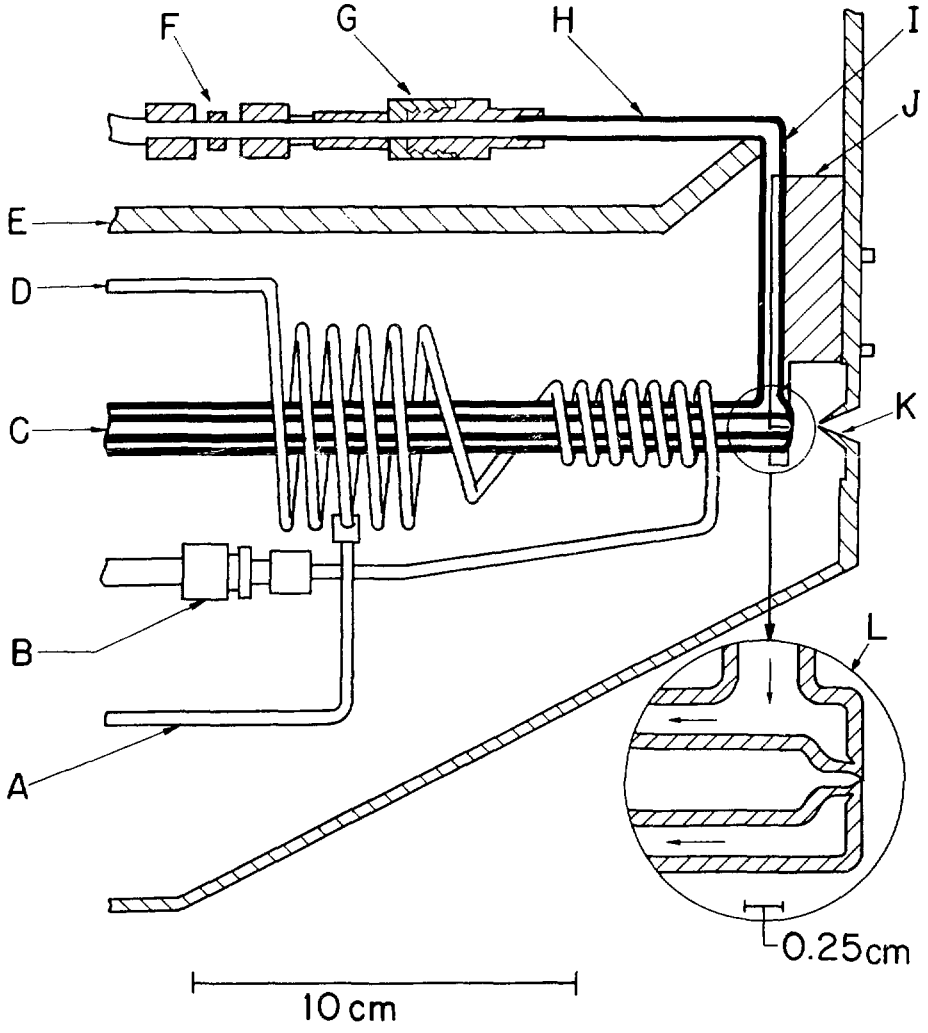


Fig. 2

XBL782-2882

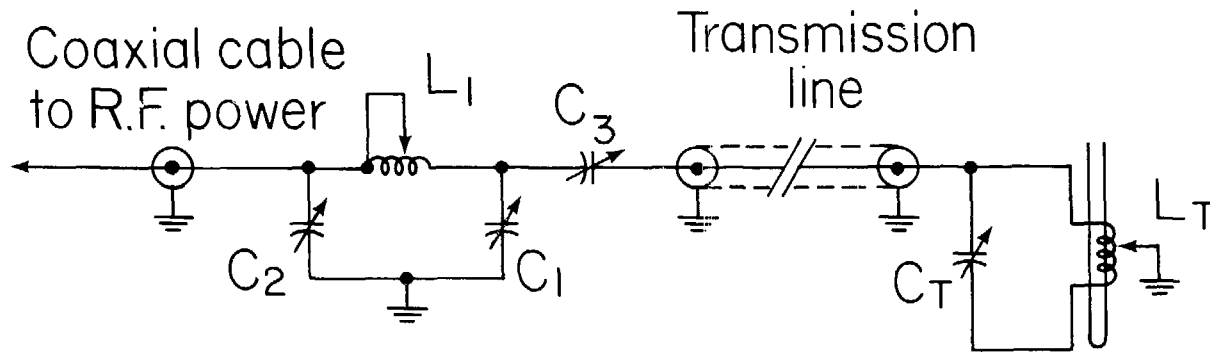


Fig. 3

XBL 797-2255

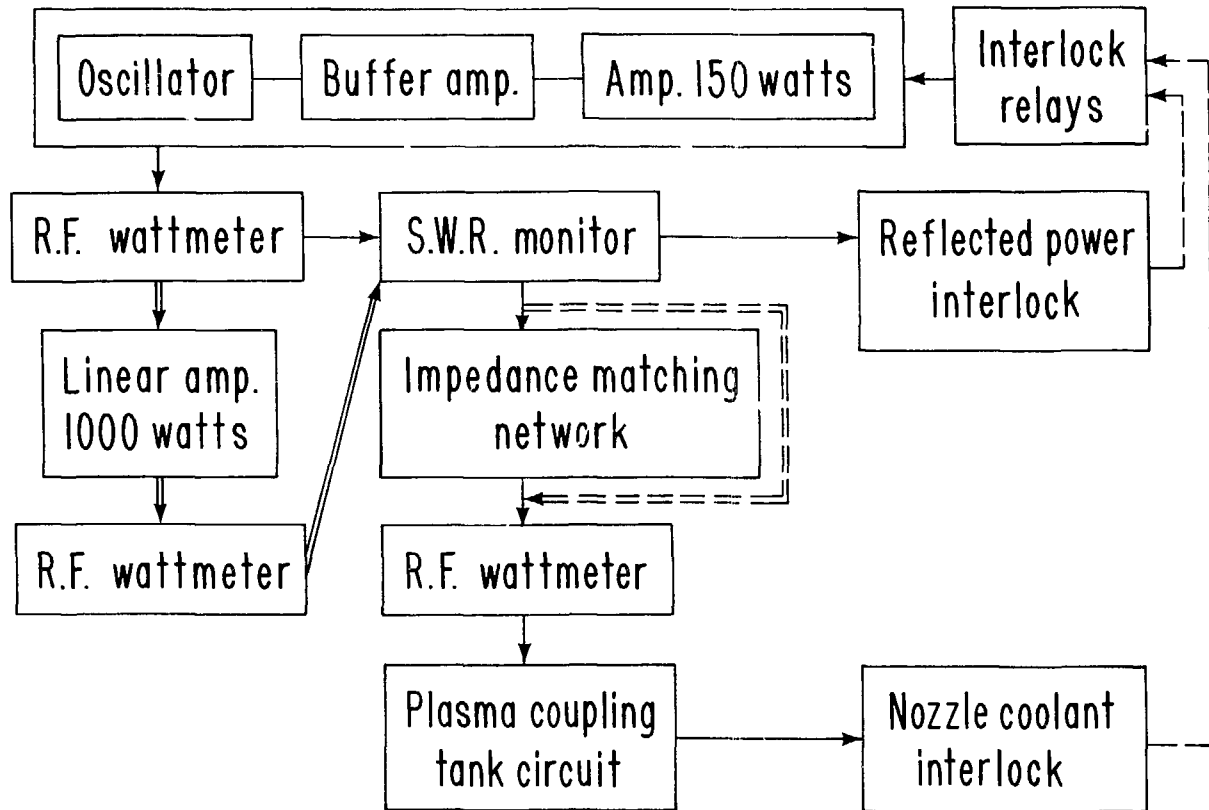
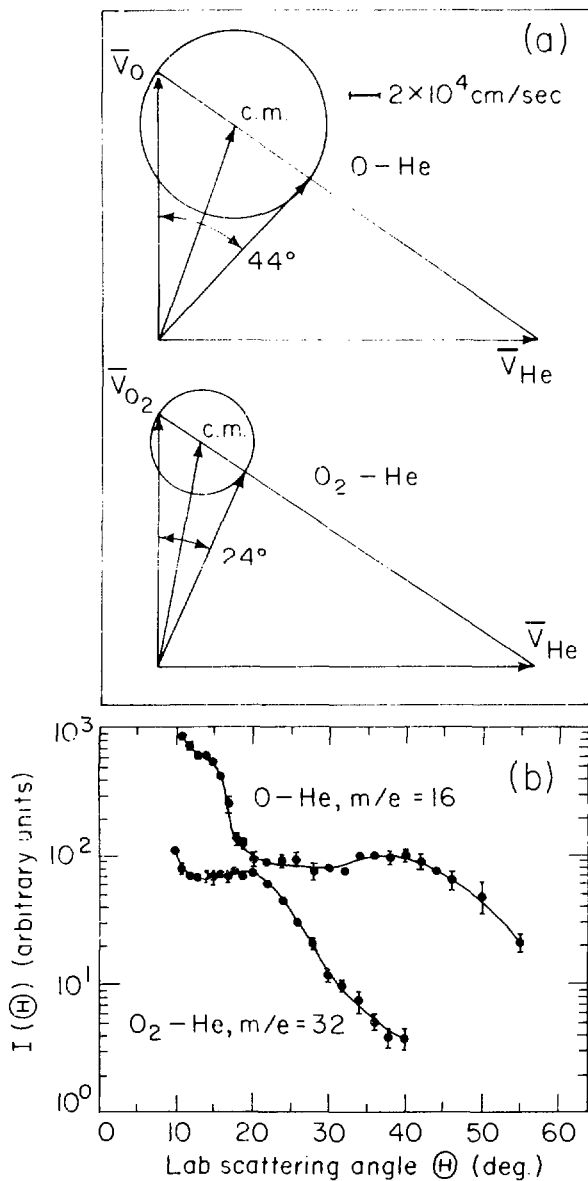


Fig. 4

XBL 797-2257





XBL 797-2266

Fig. 5

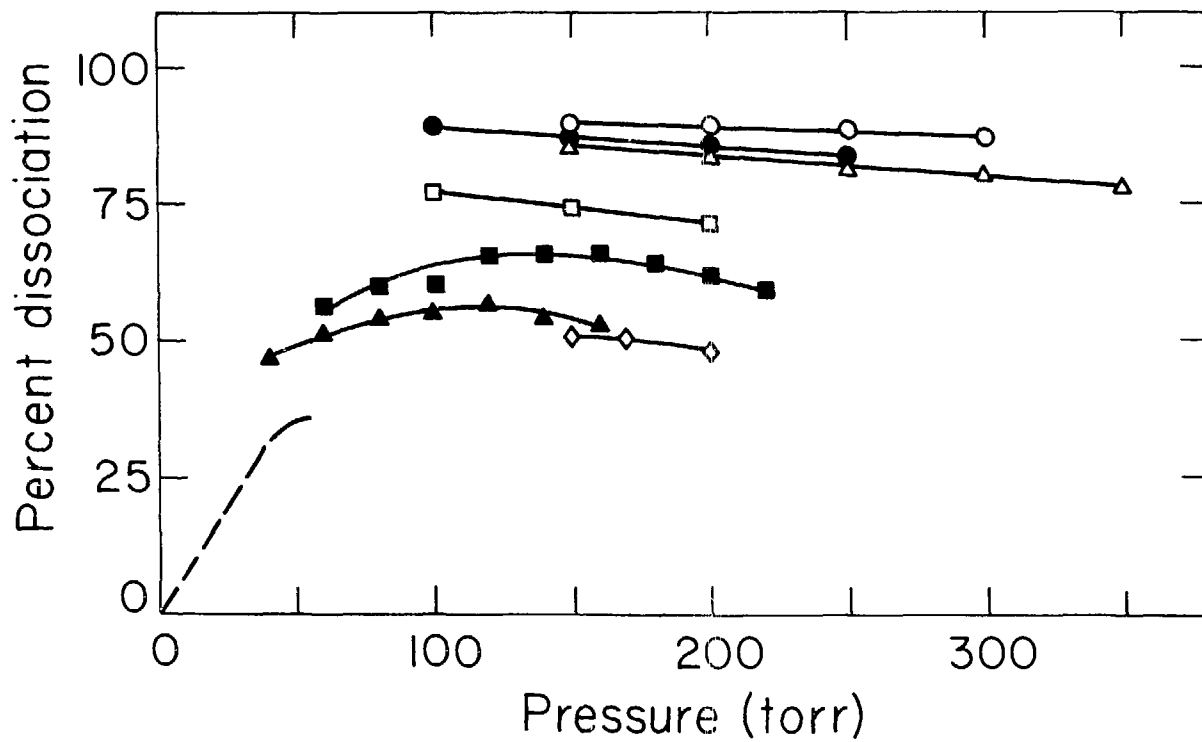


Fig. 6

XBL 797-2259

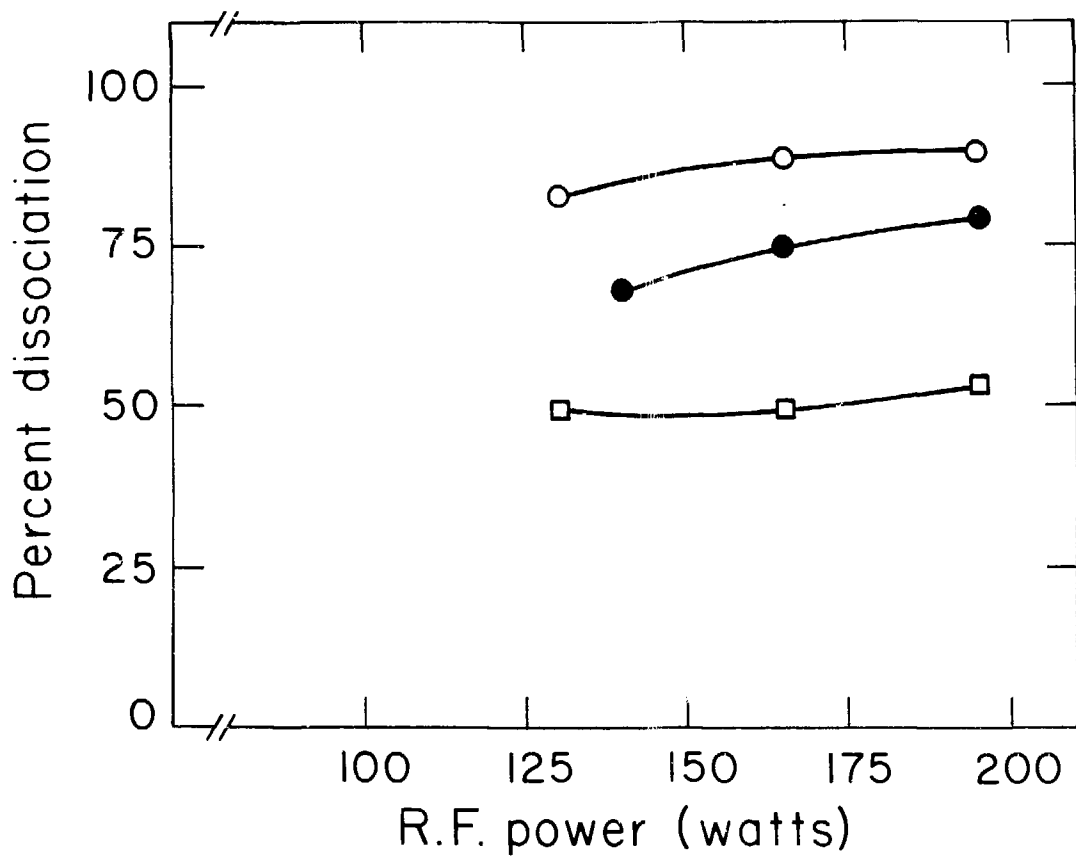


Fig. 7

XBL 797-2264

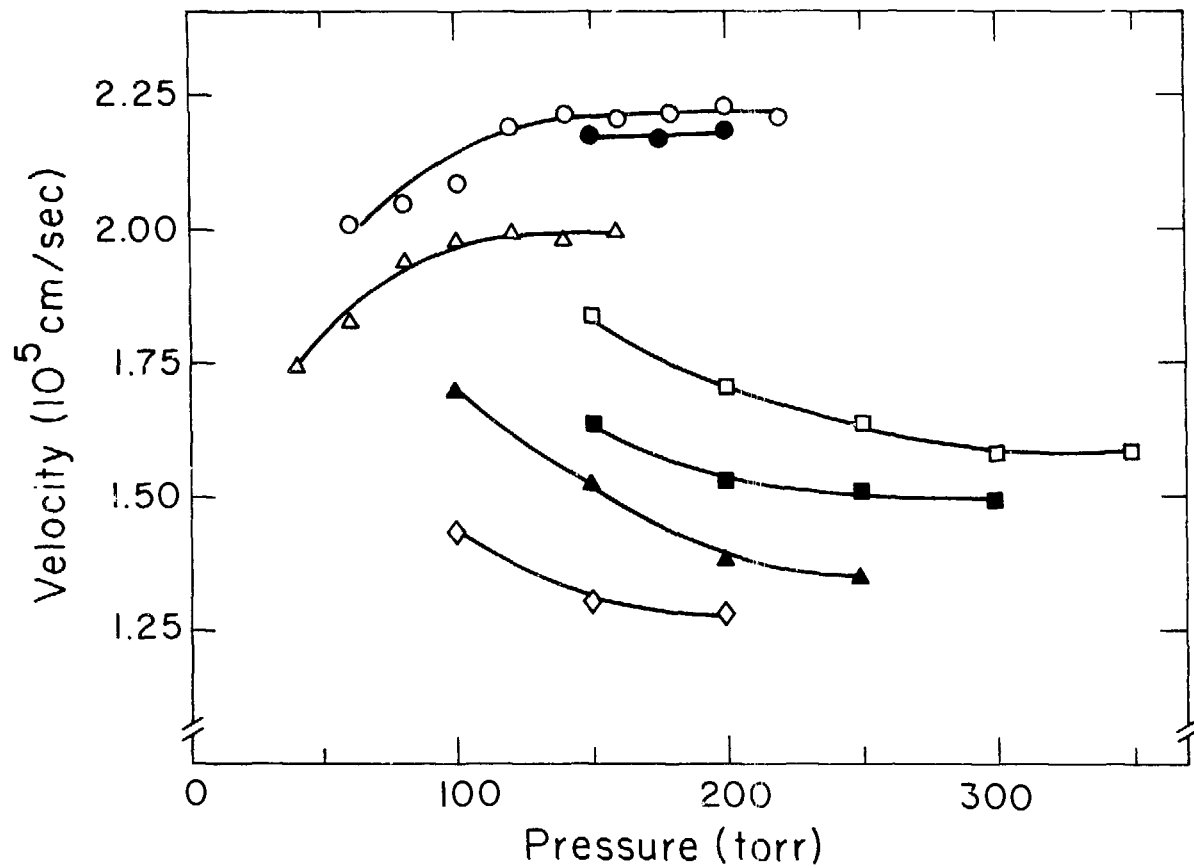
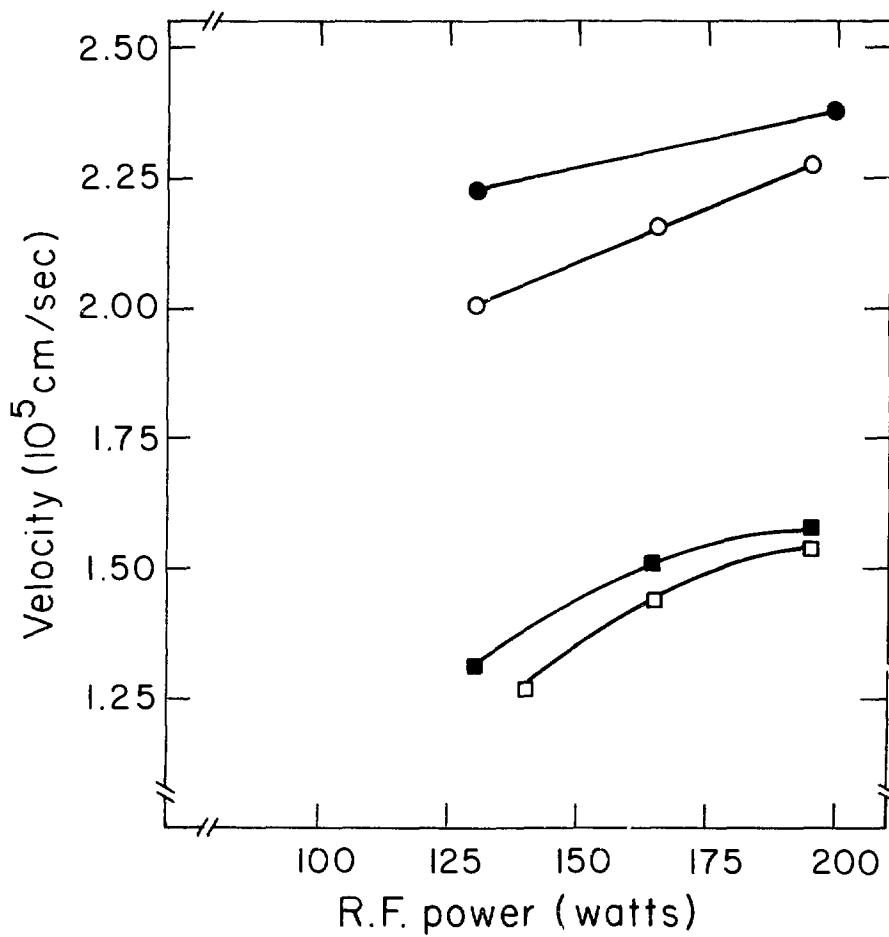


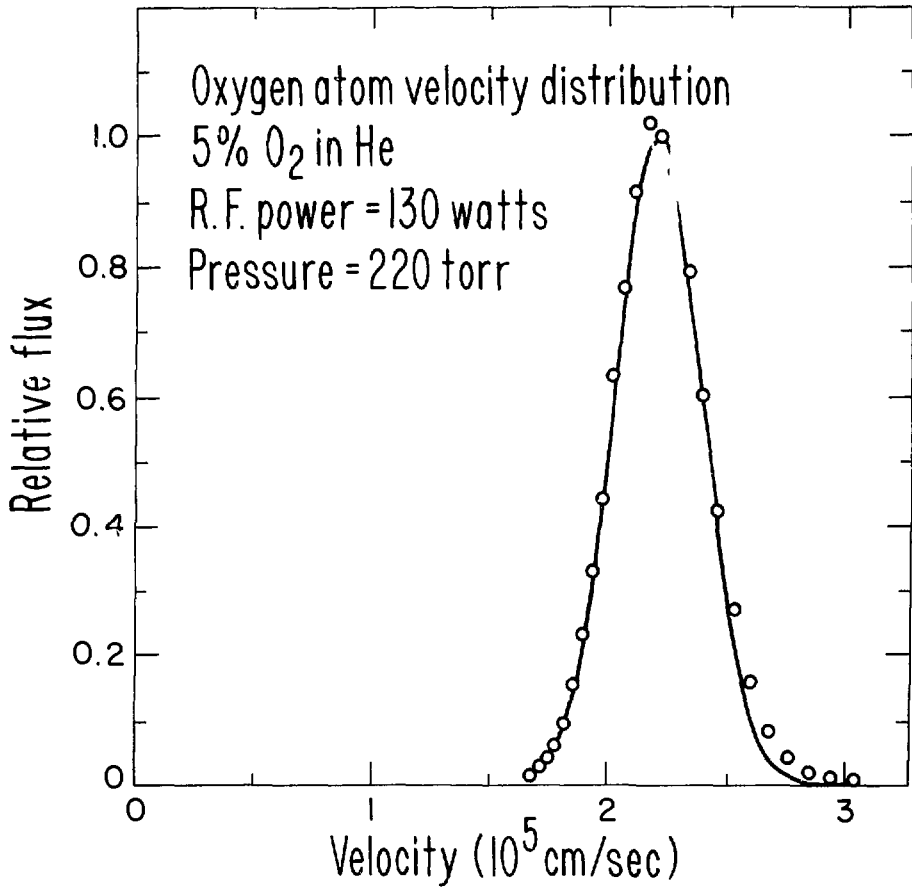
Fig. 8

XBL 797-2263



XBL 797-2262

Fig. 9



XBL 797-2265

Fig. 10

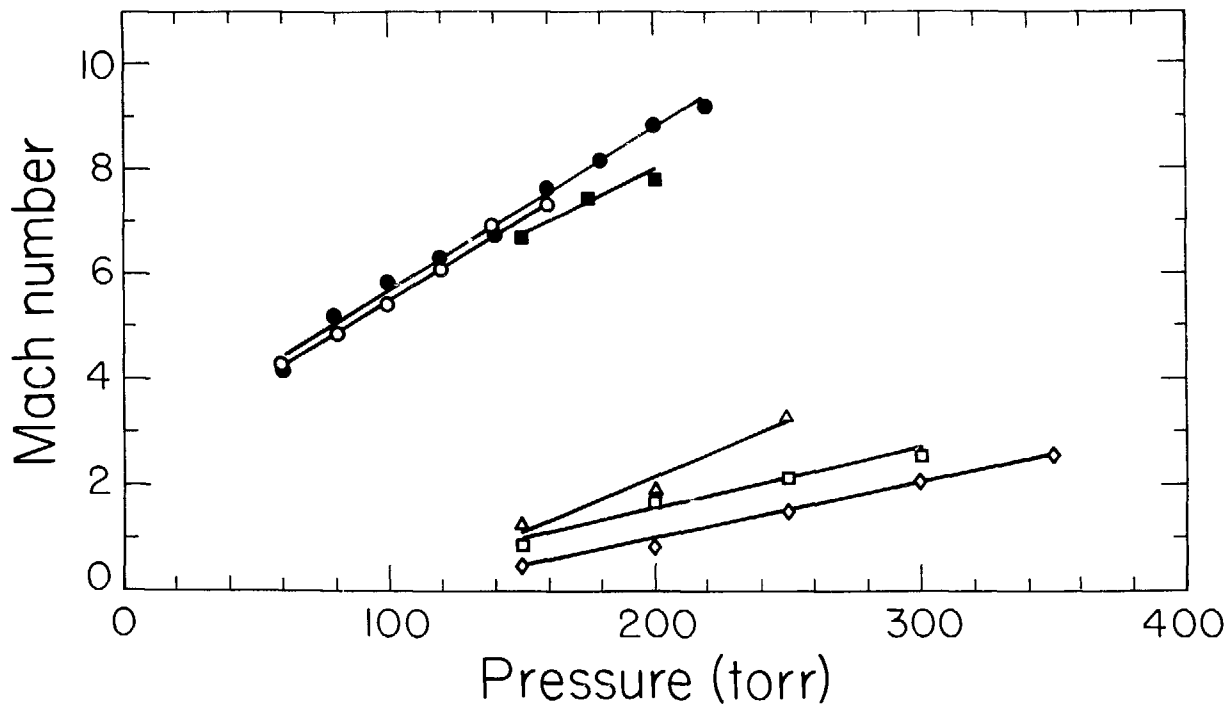


Fig. 11

XBL 797-2258

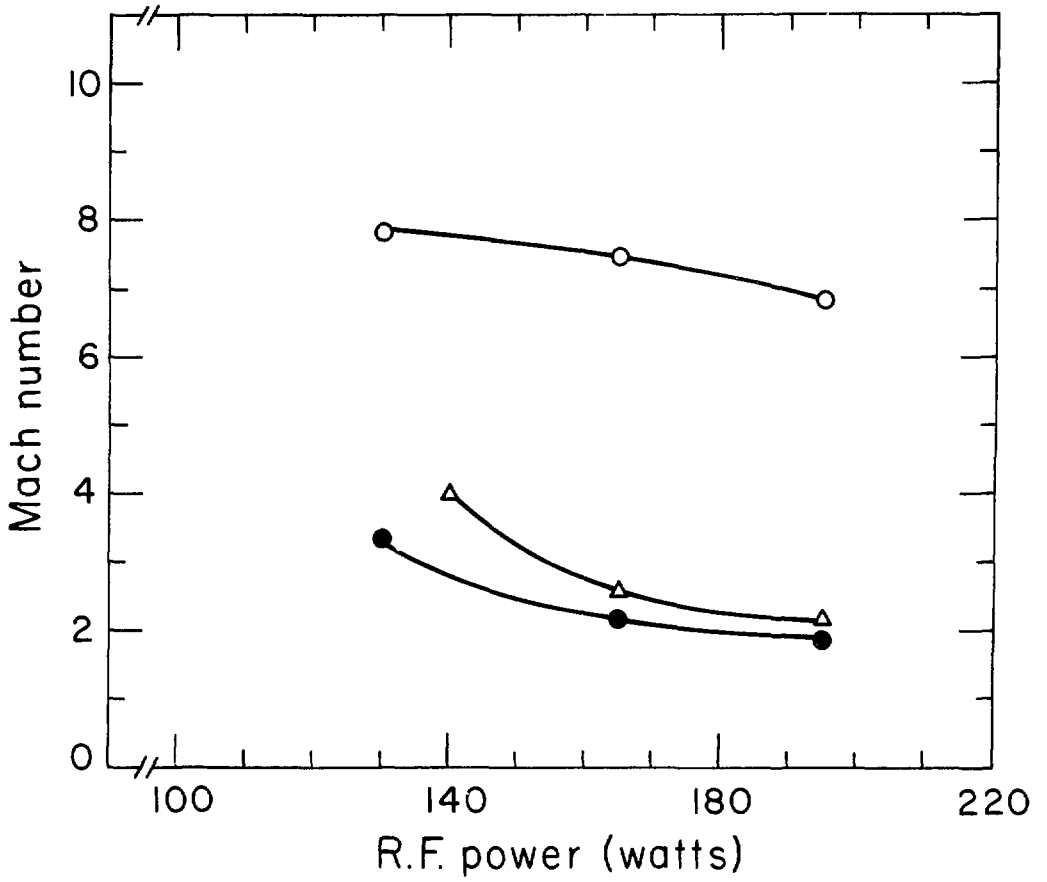
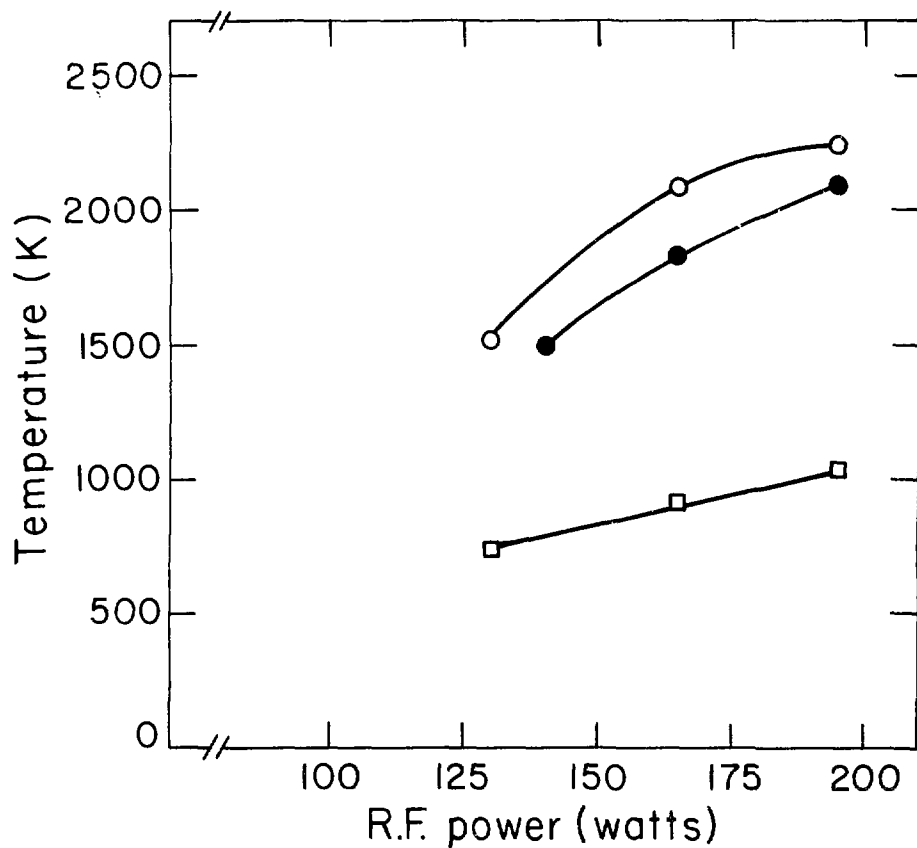


Fig. 12

XBL 797-2261





XBL 797 - 2260

Fig. 13

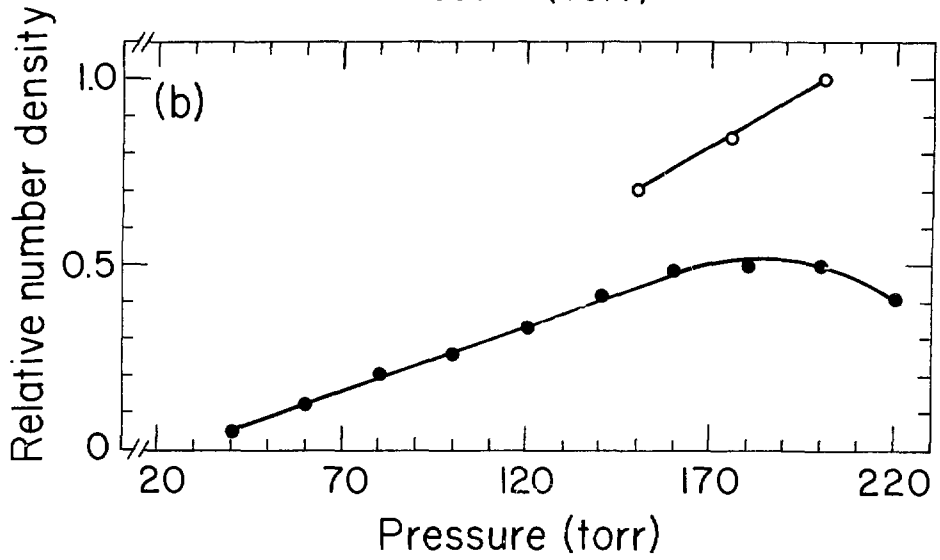
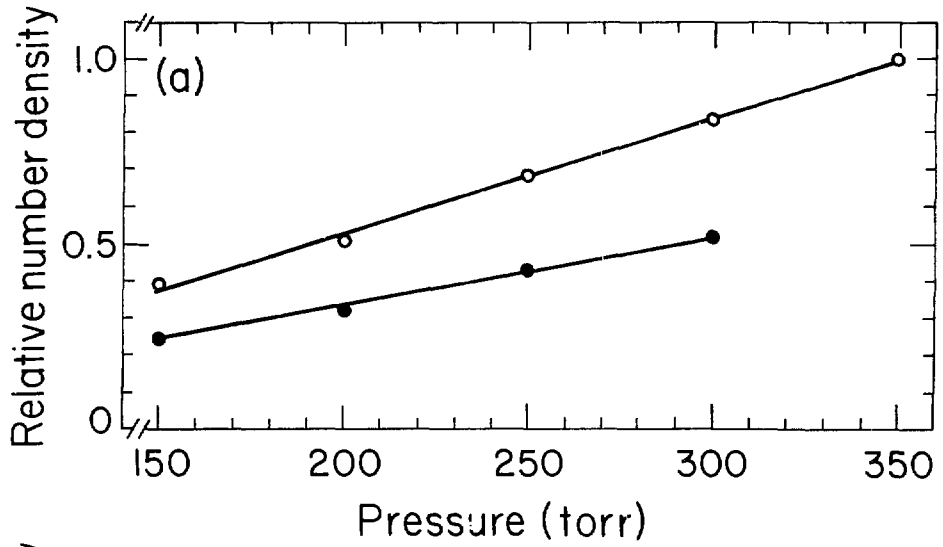


Fig. 14

XBL 797-2254

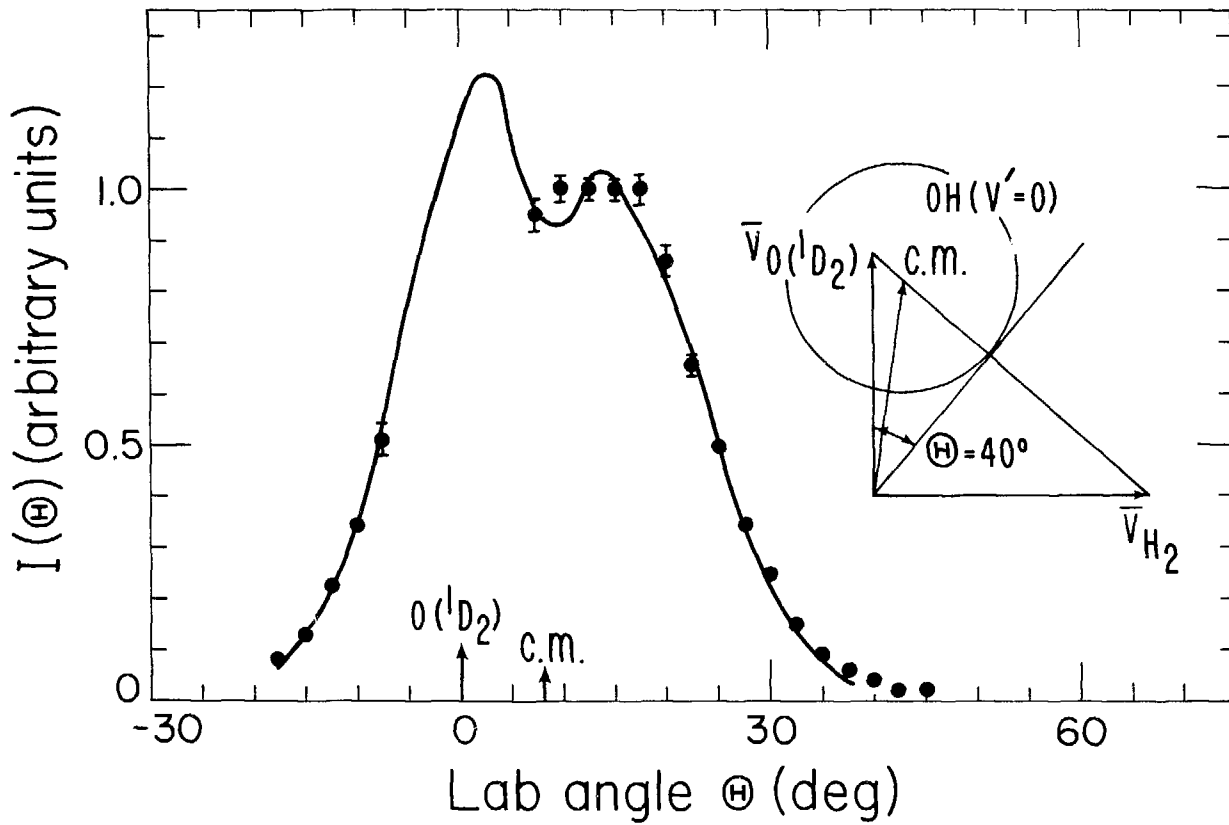
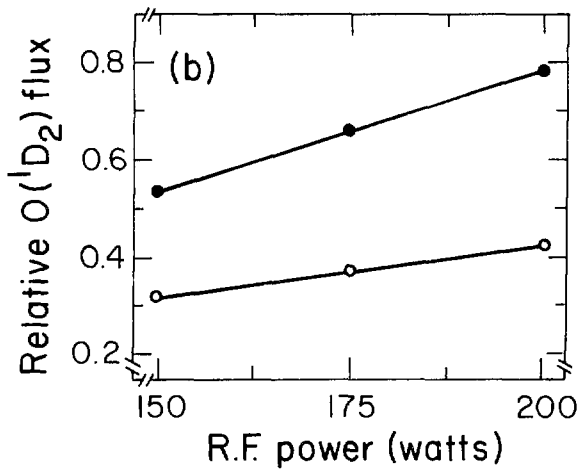
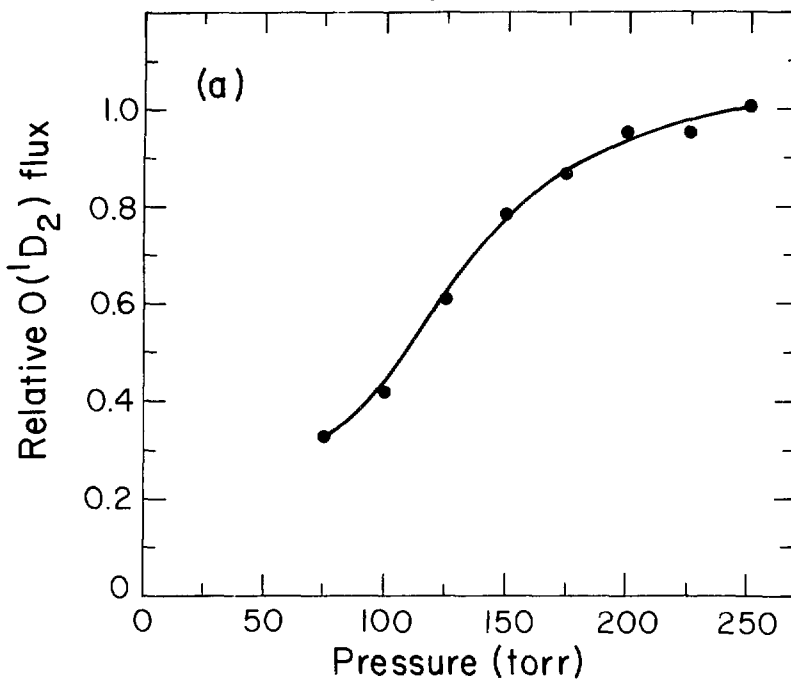


Fig. 15

XBL 797-2253



XBL 797-2256

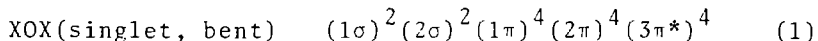
Fig. 16

### III. A CROSSED MOLECULAR BEAMS INVESTIGATION OF THE REACTIONS $O(^3P) + ICl, CF_3I$

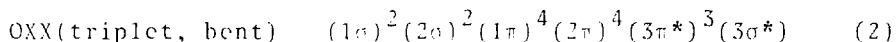
#### INTRODUCTION

The reactions of ground state  $O(^3P)$  oxygen atoms with halogen ( $X_2$ ), interhalogen ( $XY$ ), and halogen containing compounds ( $RX$ ) have recently come under investigation in several molecular beam laboratories. These reactions are of current interest for several reasons. They are known to proceed *via* relatively long-lived collision complexes whose decomposition dynamics and energetics can be experimentally monitored in crossed beam scattering experiments. This is accomplished by observing both the angular and velocity distributions of the reaction products. These results yield a Center-of-Mass energy distribution which can then be directly compared with the energy distribution predictions of the statistical RRKM-AM unimolecular decomposition model proposed by Herschbach and his coworkers.<sup>1</sup> These reactions are also of interest as the ground state reactants approach on a triplet potential energy surface which correlates in many cases to an excited state of the triatomic reaction intermediate. The possibility therefore arises that reaction might proceed by a triplet  $\rightarrow$  singlet surface crossing.

Crossed beam studies of the reaction  $O(^3P) + Cl_2$ ,<sup>2,3,4</sup>  $Br_2$ ,<sup>4,5</sup> and  $I_2$ <sup>4,5</sup> have been reported in the literature. These investigations were carried out in part to probe the nature of the reaction mechanism, and in doing this, to infer something about the structure of the reaction intermediate for each system. The results from these studies are consistent with the reactions proceeding by a collision complex mechanism, with only the  $OCl_2$  collision complexes formed in the high collision energy studies of the  $O + Cl_2$  reaction<sup>2,3</sup> having lifetimes shorter than one rotational period of the complex. The long-lived nature of the collision complexes formed in the low energy studies suggests that the complex for each reaction rests in a relatively deep potential energy well. For example, this well is believed to be on the order of 20 kcal/mole for the  $OBr_2$  complex.<sup>4</sup> This initially suggests that the  $O + X_2$  reactions proceed *via* a surface crossing to the lowest (most stable) singlet potential energy surface which corresponds to the bent, symmetric  $XOX$  structure. The  $Cl-O-Cl$  and  $Br-O-Br$  species are in fact known to be chemically stable.<sup>6,7</sup> These are 20 electron systems having bent structures which Walsh's molecular orbital correlation diagrams<sup>8</sup> predict to be singlet species having the following MO configuration:

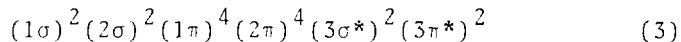


However, the "electronegativity ordering rule" derived from Walsh's orbital correlation scheme predicts that the least electronegative atom should occupy the central position of a given triatomic molecule, consistent with an OXX geometry for all halogens except  $\text{OF}_2$ . Walsh's orbital ordering scheme suggests that OXX triplet species should have bent configurations with the following MO configuration:



Experimental confirmation of a stable O-Cl-Cl entity has been found in cryogenic matrix isolation experiments.<sup>9</sup> It has been suggested by Herschbach and his coworkers,<sup>10</sup> as well as by Walsh in his original paper,<sup>8</sup> that a different MO configuration might better describe near linear OXX compounds in which the  $3\sigma^*$  orbital actually lies lower in energy than the  $3\pi^*$  orbital, resulting in an alternative triplet MO configuration:

OXX(triplet, linear and possibly bent)



In this case a triplet ground state rather than a singlet ground state is predicted for near linear OXX triatomics.

This may persist for bent geometries as well.<sup>4</sup> This then allows for the presence of a relatively deep well in the triplet OXX surface which can explain the long-lived nature of the collision complexes without requiring a triplet  $\rightarrow$  singlet surface crossing. In support of this argument is the behavior of the  $O(^3P) + F_2$  system, which, in spite of its large exoergicity, is found to have a very low reaction probability in flow tube experiments.<sup>11</sup> This implies the presence of a large activation energy for this process. Since O atoms are less electronegative than F atoms, Walsh's rules would predict an F-O-F geometry to be a more stable reaction intermediate for this reaction. The low reaction probability for the  $O(^3P) + F_2$  reaction supports the contention that  $O + X_2$  reactions proceed on triplet potential energy surfaces *via* end-on attack of the oxygen atom, with the singlet surface remaining inaccessible to the initially formed triplet complex. In cases where an attractive well exists in the triplet surface ( $O + Cl_2, Br_2, I_2$ ) a long-lived complex will be formed ultimately leading to reaction. In cases where a barrier exists in place of an attractive well in the triplet surface, i.e.,  $O + F_2$ , reaction will not occur easily at thermal energies. (Note that insertion of  $O(^3P)$  into the F-F diatomic is highly unfavorable process requiring a large activation energy.) Finally, it is presumed that the OXX triplet surface must cross the XOX singlet



surface by highly bent geometries, implying that a side of the  $\sigma$  reaction at high total energies could lead to the often-mentioned surface crossing. High energy collisions occurring with  $t_{xy}$  symmetry would be the most likely candidate for this triplet  $\rightarrow$  singlet crossing.

Studies of the  $O(^3P) + XY$  systems ( $XY = ICl, IBr$ ) have also been carried out in crossed-beam experiments using effective oxygen atom beam source.<sup>1,2,3,4</sup> These experiments have provided compelling evidence that these reactions are governed by the geometrical constraints imposed by Walsh's electronegativity ordering rule, and hence, *de fact* proceed *via* a triplet  $\rightarrow$  singlet surface crossing. Specifically, for the  $O + ICl, IBr$  systems the iodine atom is the least electronegative atom present, Walsh's rule predicts that the triplet complexes should therefore be  $O-I-Cl$  and  $O-I-Br$ . These reactions are found to yield exclusively IO reaction product, which is nearly thermoneutral for each reaction.  $ClO$  and  $BrO$  are not observed in these studies even though they are far more exoergic than the IO channel. From this, one can only conclude that the long-lived complex remains on the triplet surface. If a crossing did occur, resulting in an XOY statistical complex, dissociation would be expected to proceed nearly exclusively by the more exoergic  $ClO$  and  $BrO$  channels.

In this paper results are presented for the reactions  $O(^3P) + IOI, Cl_3I$  obtained with our supersonic atomic oxygen beam source. The  $IOI$  reaction was chosen as the first reaction to be studied with this beam source since some information was previously available about its reaction mechanism, and since the narrower velocity distribution of our source would hopefully add fresh insight into the unimolecular decomposition of the  $O-I-Cl$  complex. In a previous study Grice and his coworkers applied a long lived collision complex model to deduce a bond energy for the  $IO$  radical.<sup>5,12</sup> The applicability of using a long-lived complex model here is not very convincing. Furthermore, the wide velocity spread of his effusive oxygen atom beam makes quantitative assessment of the reaction energetics difficult. Grice and his coworkers have also studied the iodine abstraction reaction  $O + CF_3I$ ,<sup>13</sup> using an oxygen seeded in helium or neon microwave discharge beam source. The  $IO$  product from this reaction at two collision energies shows no evidence of the strong peaking on the relative velocity vector which is expected from the domination of orbital angular momentum in a reaction with a relatively large cross section and expected to proceed by a long-lived collision complex. At both collision energies some product

is observed with translation energy  $\leq 100\%$  of the total available energy, and hence the comparison with statistical theory is very poor. Most surprisingly, their model calculation reduced the number of oscillators contributing to energy sharing from 17 to 6, and required increasing the available energy to more than twice its maximum possible value to produce a best fit to their data, while still failing to account for the high energy product they observed.

The results from our investigation of the  $O + ICl$  reaction using a supersonic oxygen atom beam are in fairly good agreement with the results of Grice and his coworkers. The lifetime of the complex appears to be shorter (indicated by the lack of forward backward symmetry of the product IO flux in the Center-of Mass reference frame) and a slightly higher bond energy is found for the IO radical. In contrast to this, our results for the  $O + CF_3I$  reaction are not in agreement with Grice's study. We have been able to fit our data with statistical theory using only the energy which is actually available for product translation and have not made any assumptions about an "effective" number of active oscillators. The IO bond energy determined in the  $O + ICl$  experiment agrees well with that needed to fit the  $O + CF_3I$  results. This reaction is found

to be similar to the  $H + CH_3I$  reaction which has been previously studied in detail.<sup>14</sup>

#### EXPERIMENTAL

The crossed beam apparatus used in these studies was similar in design to one which has been previously described in detail.<sup>15</sup> The seeded, supersonic atomic oxygen beam source used in these studies was very similar to the source described in Chapter II of this thesis. It was actually a preliminary version of the current source, operating with significantly lower pumping speed (using a Varian HS-10 diffusion pump rather than a Varian VHS-400, or having approximately half the pumping speed of the current system) and having a larger nozzle orifice, ca. 0.102 mm in diameter, than that currently employed. The atomic beam was produced by discharging a 5%  $O_2$  in argon mixture at 100 torr total pressure by 100 watts of 14.2 megahertz radio frequency power. The resulting atomic oxygen velocity distribution had a peak velocity of  $1.05 \times 10^5$  cm/sec and a FWHM velocity spread of 40%. This was determined with conventional "single-shot" time-of-flight velocity analysis with a dwell time per channel of 4  $\mu$ sec. Molecular dissociation was found to be about 80% under the

above operating conditions. The atomic oxygen velocity distribution is wider than those typically found in low temperature, high pressure supersonic expansions, but is significantly narrower than the Maxwellian distributions produced from effusive discharge sources. The relatively large width of the atomic oxygen velocity distribution can be attributed to the low number density at the orifice of the nozzle, which is a direct consequence of both the high effective plasma temperature in the nozzle, and the low stagnation pressure at which the nozzle was operated. In this earlier version of the source relatively low stagnation pressures were required to ensure plasma stability. In contrast to this, the current version of the oxygen seeded in argon plasma beam source can be operated at pressures approaching 400 torr with 10%  $O_2$  in argon gas mixtures, resulting in narrower velocity distributions and much higher atomic oxygen fluxes than those obtainable with the source used in the  $O + ICl$ ,  $CF_3I$  experiments.

The  $ICl$  used in these experiments was practical grade obtained from Matheson, Coleman and Bell. It was held in a glass reservoir which was heated to 310K by a temperature regulated oil bath. At this temperature the  $ICl$  vapor pressure was observed to be 70 torr with a

Baratron pressure gauge. The actual seeded ICl beam was produced by flowing argon through the ICl reservoir to bring the total operating pressure to 240 torr. This was done to increase the stability of the ICl beam intensity and to improve the beam's operating characteristics. This mixture, approximately 50% ICl, was expanded through a 0.1 mm quartz nozzle which was held at 529 K to prevent condensation of ICl in the nozzle. In fact, the entire glass gas line was always heated to at least 10K above the reservoir temperature to prevent ICl condensation. The seeded ICl beam produced in the above manner was characterized with single-shot time-of-flight techniques, and was found to have a peak velocity of  $5.02 \times 10^4$  cm/sec and a FWHM velocity spread of 29%. Liquid nitrogen cooled foreline traps were always placed between the diffusion pump and its mechanical backing pump to prevent ICl from fouling the mechanical pump's oil.

The supersonic  $\text{CF}_3\text{I}$  beam was run neat at 250 torr total pressure through the same source used in the ICl experiment. The  $\text{CF}_3\text{I}$  was obtained from PCR Research Chemicals Inc., and was used without further purification. The  $\text{CF}_3\text{I}$  beam produced in this manner had a peak velocity of  $2.66 \times 10^4$  cm/sec and a FWHM velocity spread of 30%. The above terminal velocity of the  $\text{CF}_3\text{I}$  beam implies that

the supersonic expansion effectively converted the translational, rotational, and approximately two low frequency vibrational degrees of freedom to beam kinetic energy. Under the  $c$  condition the reacting  $\text{Cl}_2$  molecules are left with an average internal energy of about 1 kcal/mole. The mean collision energy for the  $\text{Cl}$  reaction was 2.56 kcal/mole with a FWHM of 0.8 kcal/mole, while that for the  $\text{Cl}_2$  reaction was 2.18 kcal/mole again with a FWHM energy spread of 0.8 kcal/mole.

Laboratory angular distributions of product number density were taken by repeated scans of 100 second counts at each angle. Time normalization of the recorded signal was carried out when required. The oxygen beam was modulated at 150 Hz with a Bulova tuning fork chopper. The actual signal at each laboratory angle was obtained by subtracting the chopper closed count from the chopper open count. The  $\text{IO}$  product signal at the peak of its angular distribution for each system was ca. 15 counts/sec with a background of 50 counts/sec. Product velocity distributions at each angle were obtained with cross-correlation time-of-flight techniques<sup>16,17</sup> with a dwell time per channel of 12  $\mu\text{sec}$ . For these experiments a pseudorandom sequence having 50% duty cycle was employed which had a 255-bit pattern. Representative counting times

for product velocity analysis varied between one and three hours per angle.

## RESULTS

The only product detected in the  $O(^5P) + ICl$  reaction was the IO radical, indicating that the geometric constraints imposed on the  $O(^5P) + ICl$  collision complex by Walsh's electronegativity ordering rule are operative. This also indicates that the reaction does not primarily proceed by a triplet - singlet surface crossing. However, the increased background at  $m/e = 51$ , the ClO mass, and uncertainties about the relative detection efficiency of ClO with respect to IO, only permits us to estimate at this time that less than 10% of the reaction goes by the more exoergic reaction channel which yields I and ClO as products. Similarly, the only reaction product detected in the  $O(^3P) + CF_3I$  reaction was again the IO radical.

The laboratory angular distributions of IO product from these reactions are shown in Fig. 1. The error bars in this figure represent one standard deviation from the mean of 10 independent measurements. The product for both reactions is found to peak near the center-of-mass angle for each system with slight bimodality being apparent in



the distribution from the  $O(^3P) + ICl$  reaction. This bimodality implies that a large fraction of the initial orbital angular momentum of the reactants appears as orbital angular momentum of product in the decomposition dynamics of the  $O-I-Cl$  collision complex. The product flux distributions for these reactions are shown in Figs. 2 and 3 as a function of laboratory velocity. The contour plots of Center-of-Mass IO product flux, obtained from laboratory angular and velocity distributions with Siska's iterative deconvolution technique,<sup>18</sup> are shown in Figs. 4 and 5 for the  $ICl$  and  $CF_3I$  reactions, respectively. These contours are the deconvoluted Center-of-Mass flux distributions, which, when averaged over the reactant beam velocities, produce the best-fit solid lines shown in Figs. 1, 2, and 3.

The laboratory number density angular distributions for these reactions appear to peak near the respective center-of-mass angles. This can be attributed to the relatively high detection probability for low energy reaction products which fall near the center-of-mass, since the transformation Jacobian which relates Center-of-Mass flux,  $I_{cm}(0,u)$ , to Laboratory number density,  $N(0,v)$ , is  $v/u^2$ .<sup>19,20</sup> In reality, the IO product flux peaks strongly on the relative velocity vector for each system, well removed from the center-of-mass of each

system. This can be clearly seen in Figs. 4 and 5. Product time-of-flight data could only be taken within ca. 25 degrees of the velocity vector of the center-of-mass due to the rapid fall-off of product number density in the laboratory reference frame, as discussed above. At angles further removed than this counting times became prohibitively long for obtaining acceptable signal-to-noise levels.

Examination of the product IO flux distributions in the Center-of-Mass reference frame reveals that symmetry does not exist about  $90^\circ$  for either reaction system. The O-I-Cl and  $\text{CF}_3\text{I-O}$  collision complexes therefore have lifetimes, which, on the average, are slightly less than their respective rotational periods. Fitting of the angular and velocity data with Center-of-Mass energy and angular distributions,  $P(E')$  and  $T(\theta)$ , which were assumed to be uncoupled, indicates that the ratio of flux at  $0^\circ$  to that at  $180^\circ$  is ca. 2.0 for the ICl reaction and ca. 2.2 for the  $\text{CF}_3\text{I}$  reaction. The Center-of-Mass velocity and angular distributions actually appear to be coupled for both reactions. Figures 4 and 5 show that the most probable flux velocity actually decreases smoothly as the Center-of-Mass angle increases from  $0^\circ$  to  $90^\circ$ .

The experimental  $P(E')$  distributions shown in Figs. 6 and 7 are the average energy distributions between  $0^\circ$  and  $90^\circ$ . The theoretical curves shown in these figures were obtained by calculating  $P(E')$  with the RRKM-AM model<sup>1,21</sup> for five discrete collision energies spanning the experimental range, and these  $P(E')$  were then summed over the distribution of collision energies in the experiment. The parameters used in the calculations are shown in Tables I and II. The theoretical curves in Figs. 6 and 7 were calculated for three values of the IO bond energy: 53.0, 55.0, and 57.0 kcal/mole. All of the vibrational modes in each collision complex, O-I-Cl and  $CF_3I-O$ , were assumed to participate in energy sharing. The O-I-Cl complex was assumed to be bent at an angle of  $115^\circ$  with the least electronegative atom, iodine, in the central position. This bent geometry for the triplet O-I-Cl complex seems feasible when the earlier MO arguments are taken into consideration. The bond lengths and stretching frequencies were estimated from experimental bond lengths and vibrations of the diatomics ICl and IO using a simple bond energy bond order treatment.<sup>22</sup> The O-I-Cl bending frequency was assumed to be similar to the bend for  $ClO_2$  and  $Cl_2O$  for lack of more similar molecules. Similarly, the vibrational frequencies and geo-

metries for  $\text{CF}_3$  and  $\text{CF}_3\text{I}^{23}$  were used to derive estimates of the  $\text{CF}_3\text{I-O}$  complex and its critical configuration. Note however that the choice of frequencies and the effect of geometry on the calculated  $P(E')$  is miniscule even though these factors do influence the decomposition rate of the complex. The stability of the complexes in both reactions was assumed to be 16 kcal/mole. Again, these well depths have little effect on the product translational energy distribution, but do significantly influence the lifetime of the complex. Initially, calculation of the maximum exit-channel centrifugal barrier,  $B'_m$ , followed the prescription of Safron et al.<sup>1</sup> In this formulation  $B'_m$  for a "loose" collision complex is given by the following expression:

$$B'_m = \left(\frac{\mu}{\mu'}\right)^{3/2} \left(\frac{C_6}{C'_6}\right)^{1/2} E_c \quad (4)$$

where  $\mu$  and  $\mu'$  are the reduced masses of the reactants and products,  $C_6$  and  $C'_6$  are the respective long-range attraction force constants, and  $E_c$  is the collision energy. The  $C_6$  constants were estimated using the Slater-Kirkwood method<sup>24</sup> and the polarizabilities which were available for some of the species. The other polarizabilities were estimated by the additive method.<sup>25</sup> An improved fit to

the ICl data was obtained by increasing  $B'_m$  to  $0.454 E_c$ , approximately double the value calculated with the  $C_0$  constants,  $0.26 E_c$ . This increase of  $B'_m$  moved the calculated peak of  $P(E')$  from 0.9 to 1.5 kcal/mole, and slightly increased the high energy tail of the energy distribution.

#### DISCUSSION

In a crossed beam experiment the high energy fall-off of the product  $P(E')$  distribution can be used to set a rigorous lower bound on the exoergicity of the process under investigation. The accuracy of this determination depends significantly on good specification of the relative collision energy,  $E_c$ , as this reduces uncertainties resulting from any energy dependence in the reactive cross section. In their  $O(^3P) + ICl$  study<sup>5,12</sup> Grice and his coworkers employed an effusive microwave discharge source for generating atomic oxygen. The 95% FWHM velocity spread of this Maxwellian oxygen beam leads to a large uncertainty in their collision energy. This can be seen by examining the expression which gives the relative collision energy,  $E_c$ , for a crossed beam experiment in which the beams intersect at  $90^\circ$ :

$$E_c = \frac{m_2 E_1 + m_1 E_2}{m_1 + m_2} \quad (5)$$

For a reaction in which a large mass mismatch exists between the reactants, as in the O + ICl reaction, Equation (5) reveals that  $E_c$  and its uncertainty will strongly depend on the velocity distribution of the lighter reactant. Moreover, the wide velocity spread of Grice's effusive oxygen beam and the concomitant uncertainty it produces in  $E_c$  further complicates interpretation of this particular experiment since, in the almost thermoneutral O(<sup>3</sup>P) + ICl reaction,  $E_c$  accounts for a large fraction of the total energy available for translation. In our experiment the use of two intersecting supersonic beams has allowed this reaction to be studied with a relatively well-defined collision energy, allowing an accurate minimum reaction exoergicity to be assigned. We find this lower bound on the O(<sup>3</sup>P) + ICl exoergicity to be ca. 3.5 kcal/mole under conditions where  $E_c$  was  $2.36 \pm 0.8$  kcal/mole.

Due to the small number of internal degrees of freedom in the O-I-Cl triatomic complex the high energy fall-off of P(E') is more sensitive to the total energy available in the complex than to the dynamics of its decomposition.

This has allowed us to predict the reaction exoergicity, without a detailed knowledge of the IO internal energy distribution, by examining the high energy fall-off of the experimental  $P(E')$  distribution. This procedure leads to an exoergicity  $\Delta H = 5.5 \pm 2.0$  kcal/mole for the  $O(^3P) + ICl \rightarrow IO + Cl$  reaction. This value, when combined with the known heats of formation for O, ICl, and Cl,<sup>26</sup> allows us to deduce a new value for the IO bond energy:  $D_0(IO) = 55.0 \pm 2.0$  kcal/mole. The  $P(E')$  calculations based upon the RRKM-AM unimolecular decomposition model shown in Fig. 6 agree with this IO bond energy when the maximum centrifugal barrier,  $B'_m$ , is taken as an adjustable parameter in the calculations.

For collisions in which the long-range dispersion force between the reactants determines the maximum impact parameter for capture,  $B'_m$  depends simply on the ratio of the entrance to exit channel  $C_6$  constants, as shown in Equation (4). The  $C_6$  constant for  $O + ICl$  is estimated to be  $1920 \text{ kcal } \text{\AA}^6 \text{ mole}^{-1}$  or about half the  $C'_6$  value for  $Cl + IO$ ,  $3780 \text{ kcal } \text{\AA}^6 \text{ mole}^{-1}$ . In order to fit the experimental results we have had to increase the  $C_6/C'_6$  ratio used in Equation (4) by a factor of four over that calculated with the Slater-Kirkwood method. This cannot be physically realistic in view of the much greater polarizability of chlorine,  $2.14 \text{ \AA}^3$ , relative to that of oxygen,

$0.77 \text{ \AA}^3$ . The capture cross section calculated with either the original  $C_6$  value,  $\sim 55 \text{ \AA}^2$ , or with the larger one,  $\sim 88 \text{ \AA}^2$ , is about an order of magnitude larger than that expected for the  $O(^3P) + \text{ICl}$  reaction based upon the known rate constants for the  $O(^3P) + \text{Cl}_2$ ,  $\text{Br}_2$ , and  $\text{BiCl}$  reactions.<sup>27</sup> This may either indicate that a large steric constraint is present in the entrance channel of this reaction which substantially reduces the number of reactive collision trajectories, or that the long range orbiting assumption used in calculating the capture cross section is not valid for this system. With the above discussion in mind we feel that it is not yet clear whether the improved  $P(E')$  fit with the larger  $B_m^1$  value indicates a "non-statistical" translational energy distribution.

The exoergicity found in this study for the  $O(^3P) + \text{ICl}$  reaction,  $\Delta H = -5.5 \text{ kcal/mole}$ , is higher than that proposed by Grice and his coworkers,  $\Delta H = 3.4 \text{ kcal/mole}$ .<sup>12</sup> Their value was obtained by fitting the IO velocity distribution at the laboratory center-of-mass angle with a theoretical distribution calculated from Herschbach's RRKM-AM statistical decomposition model. This manner of obtaining the exoergicity is an extremely poor one for this system as severe Jacobian enhancement of slowly moving reaction products tends to overwhelm the information contained in the (more important) high energy tail. It must



also be stated that Grice's reliance on statistical calculations to determine the bond energy of IO is somewhat questionable for this reaction. The RRKM lifetime is calculated to be exceedingly short, 0.5 psec, a time regime in which nonstatistical effects have been observed in several other reactions. Also, the density of states in the complex at the dissociation energy is very low, approximately 1 per  $\text{cm}^{-1}$ . Finally, uncertainties in the treatment of angular momentum may introduce too much flexibility to the model, making it unreliable for thermodynamic data determination. In spite of the substantial difference which exists between the reaction exergicity found in this study and Grice's value, the derived IO bond energies are actually in fair agreement with each other:  $55.0 \pm 2.0$  kcal/mole (this study) and  $53.0 \pm 3.0$  kcal/mole (Ref. 12).

In support of our IO bond energy, which was obtained *without* reliance on statistical models, other experimental information must be taken into consideration. The product P( $\text{E}'$ ) distribution from the  $\text{O}(^3\text{P}) + \text{CF}_3\text{I}$  reaction is shown in Fig. 7 to agree well with statistical calculations using the IO bond energy determined above. The high density of states for the  $\text{CF}_3\text{I-O}$  complex at its dissociation energy

is about  $10^7$  per  $\text{cm}^{-1}$ , lending more credibility to the use of statistical treatment than in the ICl reaction. Our IO bond energy is also in good agreement with that determined in a flame photometry experiment,<sup>28</sup> and falls below the rigorous upper bound on  $D_0(\text{IO})$ , 62.8 kcal/mole, which was reportedly determined from predissociation of the upper  $\text{IO}(^2\Pi)$  state.<sup>12</sup>

In their study of the  $\text{O}(^3\text{P}) + \text{CF}_3\text{I}$  reaction at two higher collision energies<sup>15</sup> Grice and his coworkers observed IO product with energies far exceeding the total energy available for translation. The conditions of their reactants are too well specified to attribute this to uncertainty in internal energy. The explanation of this serious discrepancy must therefore lie in some systematic error. Their reported Center-of-Mass angular distribution shows no peaking on the relative velocity vector even though the kinematics of the reaction virtually requires this. In our experiment the product flux peaks on the relative velocity vector, as shown in Fig. 5, and the product translational energy distribution does in fact fall within the bounds imposed by energy availability in the complex.

The asymmetry of product about  $90^\circ$  in the Center-of-Mass reference frame found for both reactions is not inconsistent with statistical calculations if the intermediates in both reactions are assumed to be stable by 16 kcal/mole with respect to reaction products. The rotational period is estimated to be 0.8 - 3.0 psec for the ICl and 1-5 psec for the  $CF_3I$  reactions, in each case comparable to the calculated lifetime. The forward-backward symmetry found in the study of  $O + ICl$  at a collision energy of 0.81 kcal/mole by Radlein et al.<sup>5</sup> is not viewed as being in disagreement with our result as large uncertainties exist in the rotational period and stability of the O-I-Cl complex, as well as in their collision energy.

Finally, the  $O(^3P) + ICl$  reaction appears primarily to proceed adiabatically on a triplet potential surface. This is supported by the apparent absence of ClO as a primary reaction product. As the  $I + ClO$  decomposition channel is roughly 10 kcal/mole more exoergic than the  $IO + Cl$  channel we infer that the O-I-Cl collision complex remains on the triplet surface, from which the  $I + ClO$  product channel is inaccessible. However, due to the higher exoergicity and expected wide spread of ClO in the LAB reference frame (due to mass effects) some certainty

still exists about the branching ratio of the ClO relative to the IO product channel. Study of this reaction at much higher relative collision energies or with internally excited ICl might ultimately enable the  $O(^3P) + ICl$  system to access the singlet surface, if it is not already doing so.

#### CONCLUSION

Study of the reaction  $O(^3P) + ICl$  in a crossed beam experiment employing a supersonic atomic oxygen beam source has led to a new value for the bond energy of the IO radical,  $D_0(IO) = 55 \pm 2$  kcal/mole. This value was obtained by examining the high energy fall-off of the product translational energy distribution without reliance on any statistical decomposition model. The product translational energy distribution for the  $O(^3P) + CF_3I$  reaction agrees quite well with RRKM-AM predictions when the above IO bond energy is used in the calculation. The two reactions appear to proceed *via* collision complexes whose mean lifetimes are slightly less than their respective rotational periods. The  $O(^3P) + ICl$  reaction has also been shown primarily to proceed adiabatically in a triplet potential

surface, as indicated by the apparent absence of C10 reaction product. Walsh's electronegativity ordering rule is seen to be operative, with the least electronegative species resting in the central position of the reaction complex. An attractive well in the triplet surface can be inferred from the results of this experiment.

REFERENCES

1. S. A. Safron, N. D. Weinstein, D. R. Herschbach, and J. C. Tully, Chem. Phys. Lett. 12, 564 (1972).
2. P. A. Gorry, C. V. Nowikow, and R. Grice, Chem. Phys. Lett. 49, 116 (1977).
3. P. A. Gorry, C. V. Nowikow, and R. Grice, Chem. Phys. Lett. 55, 19 (1978).
4. D. D. Parrish, and D. R. Herschbach, J. Amer. Chem. Soc. 95, 6153 (1973).
5. D. St. A. G. Radlein, J. C. Whitehead and R. Grice, Mol. Phys. 29, 1813 (1975).
6. F. A. Cotton and G. Wilkinson, Advanced Inorganic Chemistry, Second Ed. (Interscience, London, 1966) pp. 565-7.
7. C. Campbell, J. P. M. Jones, and J. J. Turner, Chem. Commun. 888 (1968).
8. A. D. Walsh, J. Chem. Soc. 2266 (1953).
9. M. M. Rochkind and G. C. Pimentel, J. Chem. Phys. 46, 4481 (1967).
10. D. D. Parrish and D. R. Herschbach, J. Amer. Chem. Soc. 95, 6133 (1973); Footnote 16.
11. M. Kaufman and C. E. Kolb, Chem. Inst. 3, 175 (1971).
12. D. St. A. G. Radlein, J. C. Whitehead, and R. Grice, Nature 253, 37 (1975).

13. P. A. Gorry, C. V. Nowikow, and R. Grice, *Chem. Phys. Lett.* 55, 24 (1978).
14. J. M. Farrar and Y. T. Lee, *J. Chem. Phys.* 63, 3639 (1975).
15. Y. T. Lee, J. D. McDonald, P. R. LeBreton, and D. R. Herschbach, *Rev. Sci. Instrum.* 40, 1402 (1969).
16. K. Sköld, *Nucl. Instrum. Meth.* 63, 114 (1968).
17. V. L. Hirschy and J. P. Aldridge, *Rev. Sci. Instrum.* 42, 381 (1971).
18. P. E. Siska, *J. Chem. Phys.* 59, 6052 (1973).
19. L. A. Intemann, Ph.D. dissertation, Harvard University, Cambridge, Massachusetts, 1967.
20. T. T. Warnock and R. B. Bernstein, *J. Chem. Phys.* 49, 1878 (1968).
21. P. J. Robinson and K. A. Holbrook, Unimolecular Reactions (Wiley-Interscience, New York, 1972).
22. H. S. Johnston, Gas Phase Reaction Rate Theory, (The Ronald Press Co., New York, 1966).
23. Vibrational spectrum for  $\text{CF}_3\text{I}$ : L. H. Ngai and R. H. Mann, *J. Mol. Spect.* 38, 522 (1971); for  $\text{CF}_3$ : D. E. Milligan and M. E. Jacox, *J. Chem. Phys.* 48, 2265 (1968); for  $\text{ICl}$ : G. Herzberg, Spectra of Diatomic Molecules, (Van Nostrand, New York, 1950).

24. J. C. Slater and J. G. Kirkwood, *Phys. Rev.* 57, 682 (1951).
25. J. O. Hirschfelder, C. F. Curtiss, and R. B. Bird, Molecular Theory of Gases and Liquids (John Wiley and Sons, New York, 1954) pp. 947-51.
26. H. M. Rosenstock, K. Draxl, B. W. Steiner, and J. T. Herron, *J. Phys. Chem. Ref. Data*, 6, Suppl. #1, 1977.
27. M. A. A. Clyne, P. B. Monkhouse, and I. W. Townsend, *Inter. J. Chem. Kinet.* 8, 425 (1976).
28. L. F. Phillips and T. M. Sugden, *Trans. Far. Soc.* 57, 914 (1961).



Table I.

		OICl*	OICl <sup>+</sup>
Bond length Å	r <sub>IO</sub>	2.0	1.87
	r <sub>ICl</sub>	2.5	3.5
Bond Angles degrees	< OICl	115	115
Frequencies cm <sup>-1</sup>	v <sub>IO</sub>	486	683
	v <sub>ICl</sub>	271	R.C.
	δ <sub>OICl</sub>	250	25
Moments of Inertia AMU·Å <sup>2</sup>		175.4	301.3
		132.5	262.8
		43.0	38.5

Energetics (kcal mol <sup>-1</sup> )		Polarizabilities (Å <sup>3</sup> )	
ΔH	-5.5	Cl	= 2.18
E <sub>C</sub>	1.0 - 4.0	O	= 0.802
E*	23.0 - 27.0	ICl	= 7.5
E°	16.0	IO	= 6.02

$$C_6 = 1981. \text{ kcal } \text{Å}^6 \text{ mol}^{-1}$$

$$C'_6 = 3831. \text{ kcal } \text{Å}^6 \text{ mol}^{-1}$$

$$B'_m = 0.268 E_C$$

Table II.

		CF <sub>3</sub> I-O*	CF <sub>3</sub> I-O <sup>+</sup>
Bond length Å	r <sub>IO</sub>	2.0	1.87
	r <sub>CI</sub>	2.54	2.82
	r <sub>CF</sub>	1.33	1.33
Angles	<CIO	115	115
Degrees	<ICF	109	
Frequencies cm <sup>-1</sup>	V <sub>IO</sub>	486	683
	V <sub>CF</sub>	1195, 1195, 1067	1223, 1223, 1077
	V <sub>CI</sub>	202	R.C.
	δ <sub>CF</sub>	730, 529	715, 521
	δ <sub>CI</sub>	132, 132	26, 26
	δ <sub>CIO</sub>	200, 200	40, 40
	τ	150	30
Moments of Inertia AMU·Å <sup>2</sup>		334.8	1091
		333.8	1091
		89.6	99.4
Energetics (kcal mol <sup>-1</sup> )		Polarizabilities (Å <sup>3</sup> )	
ΔH	-2.0	CF <sub>3</sub> I	= 7.33
E <sub>C</sub>	1.0 - 4.0	CF <sub>3</sub>	= 3.43
E*	20.0 - 24.0	O	= 0.802
E*	16.0	IO	= 6.02

Table II. (Continued)

$$C_6 = 2440. \text{ kcal } \text{\AA}^6 \text{ mol}^{-1}$$

$$C'_6 = 7104. \text{ kcal } \text{\AA}^6 \text{ mol}^{-1}$$

$$B'_m = 0.105 E_C$$

FIGURE CAPTIONS

Fig. 1. Laboratory angular distributions of IO product number density from the reaction  $O + ICl, CF_3I$ . Error bars represent one standard deviation from the mean of 10 measurements at each angle.

Fig. 2. Product IO flux distributions from the reaction  $O + ICl$  at eight laboratory angles. Solid lines are the best fit from the deconvolution procedure.

Fig. 3. Product IO flux distributions from the reaction  $O + CF_3I$  at seven laboratory angles.

Fig. 4. Contour map of Center-of-Mass product IO flux from the reaction  $O + ICl$  with the most probable Newton diagram.

Fig. 5. Contour map of Center-of-Mass product IO flux from the reaction of  $O + CF_3I$ .

Fig. 6. Product translational energy distributions.  
••• experimental, lines are RRKM-AM calculations for three values of the IO bond energy,  
- - - -  $E_{IO} = 53$ , ———  $E_{IO} = 55$ , and  
- — - —  $E_{IO} = 57 \text{ kcal mol}^{-1}$ .

Fig. 7. Product translational energy distributions.  
••• experimental, lines are RRKM-AM calculations for three values of the IO bond energy,  
- - - -  $E_{IO} = 53$ , ———  $E_{IO} = 55$ , and  
- — - —  $E_{IO} = 57 \text{ kcal mol}^{-1}$ .

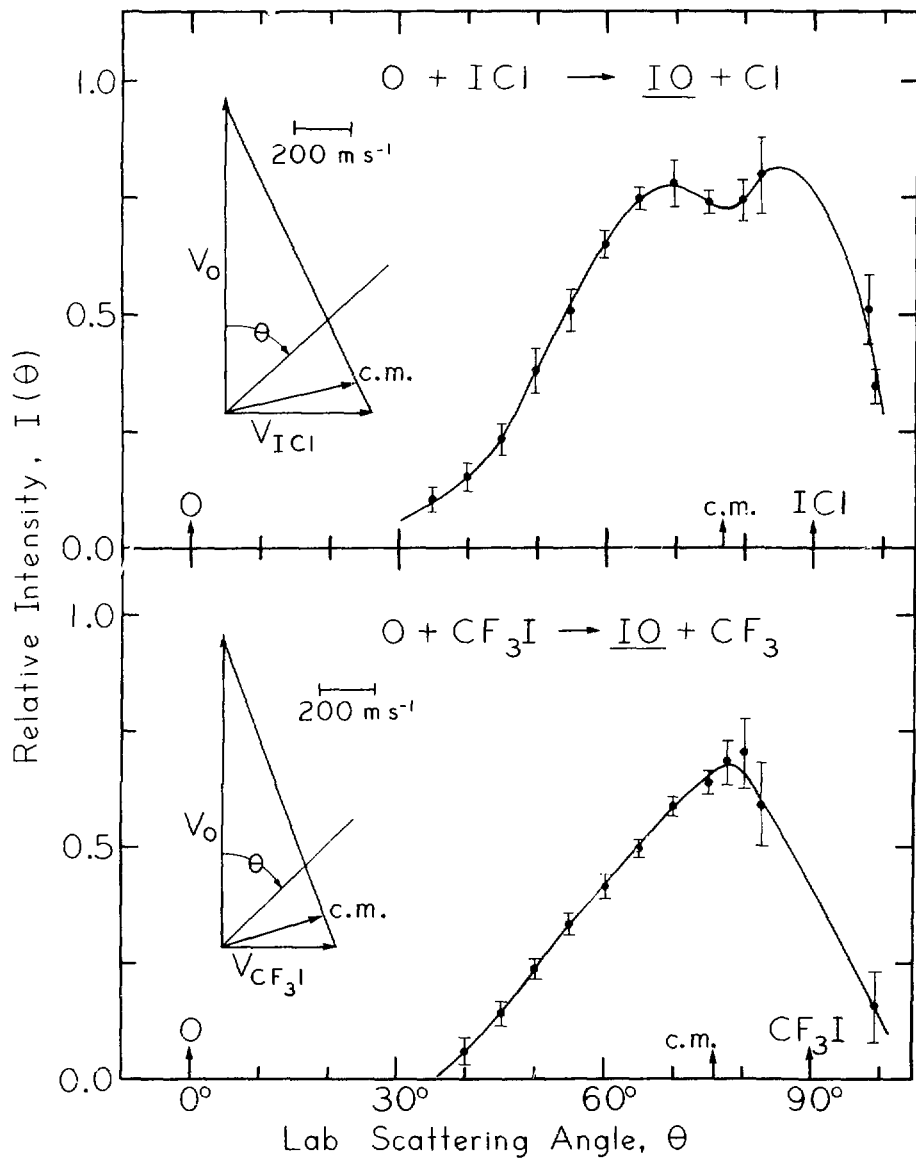
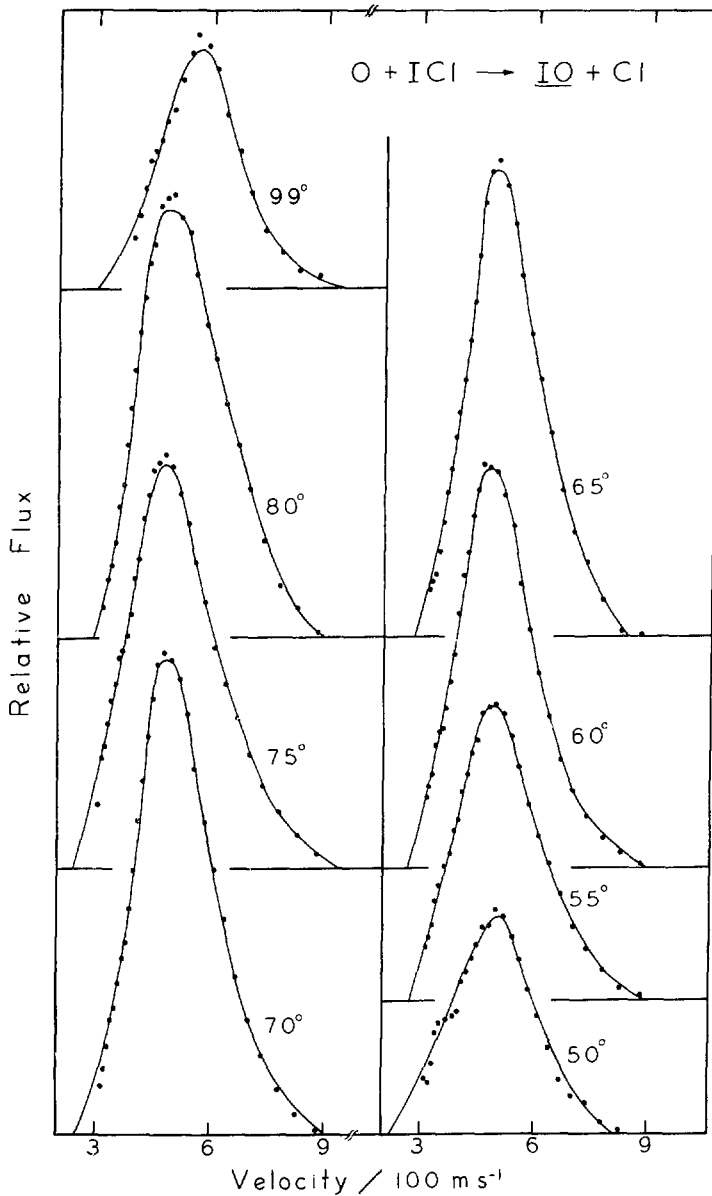


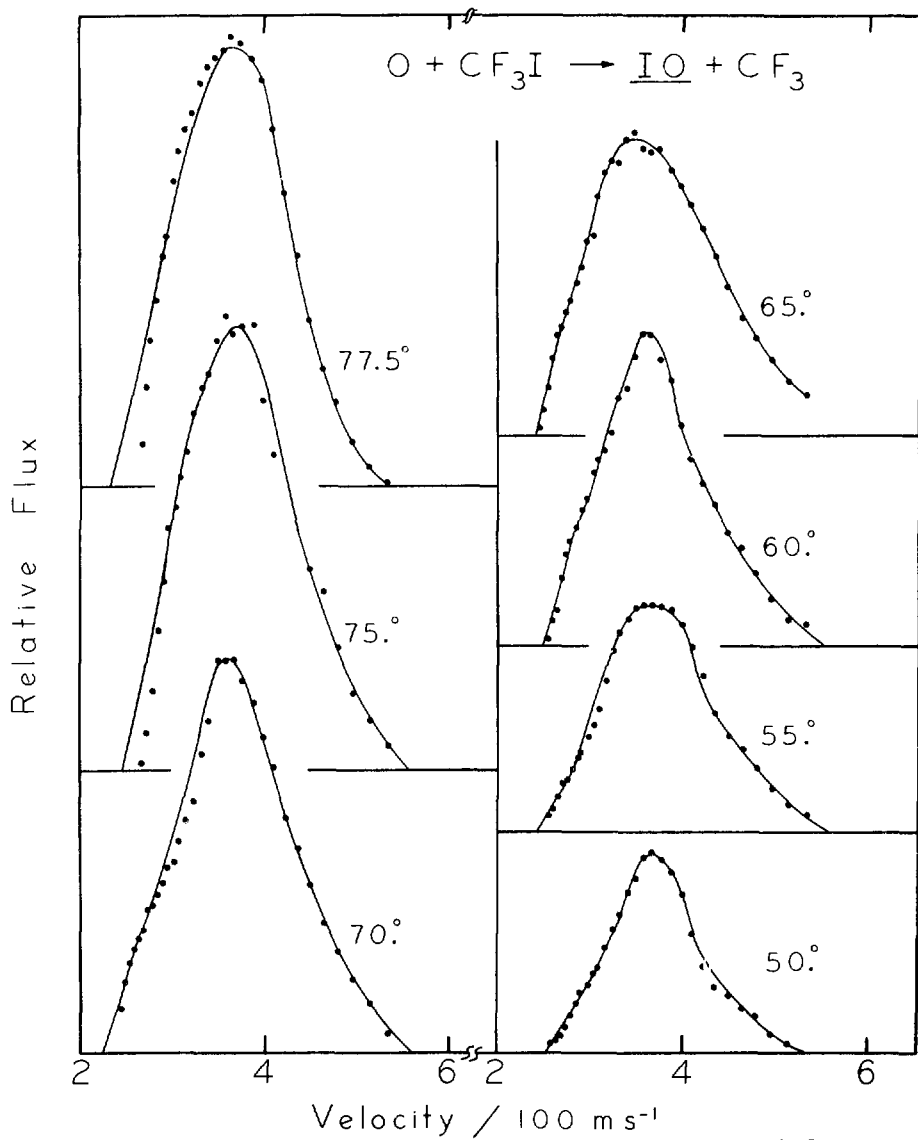
Fig. 1

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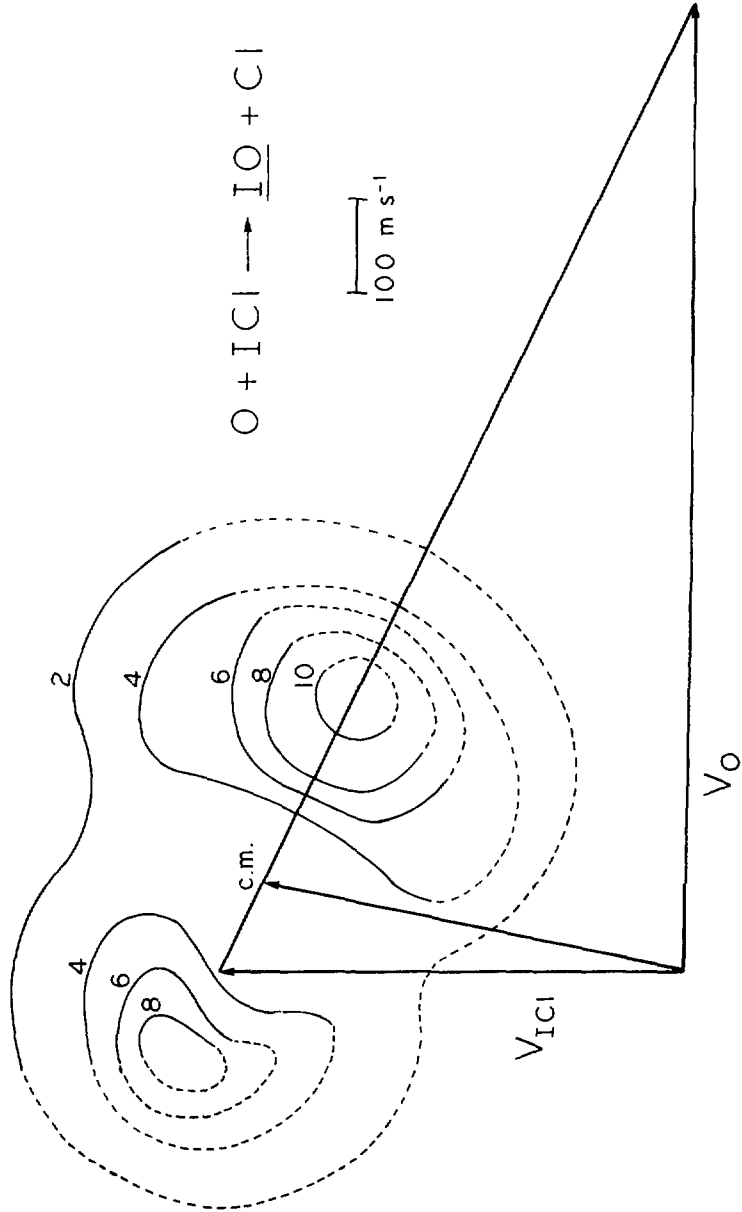
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Fig. 2



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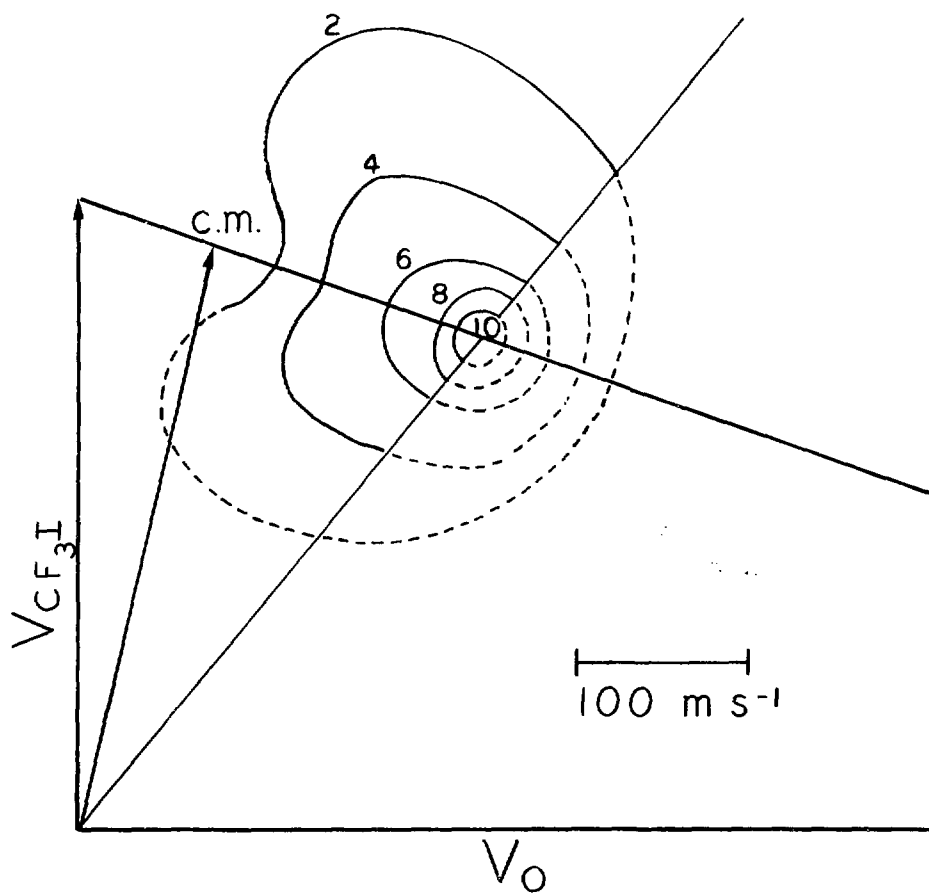
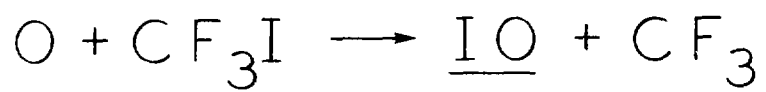
Fig. 3



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Fig. 4





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Fig. 5

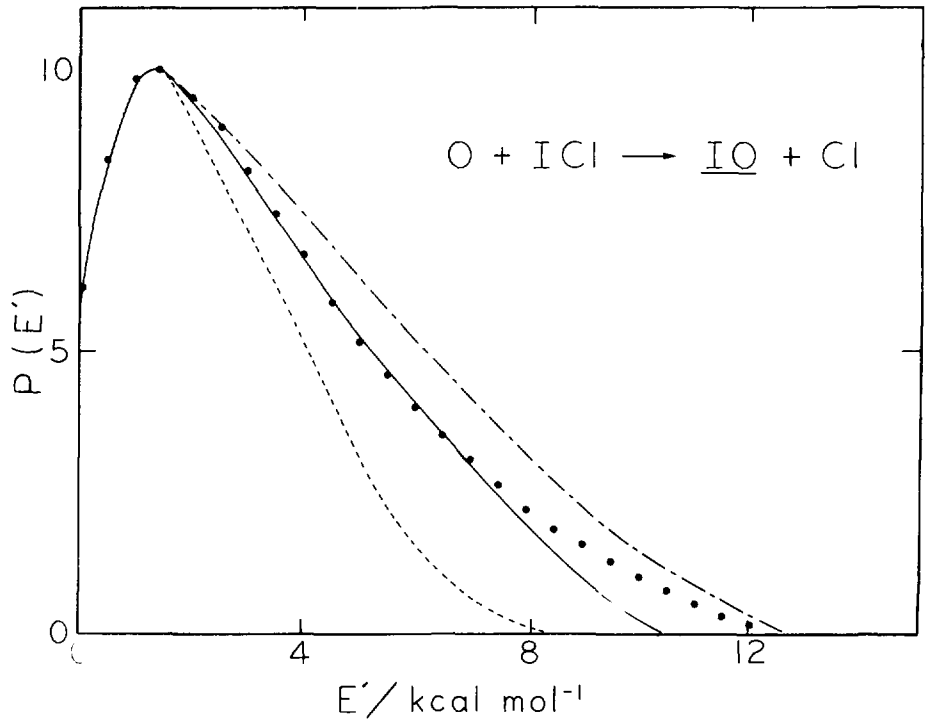
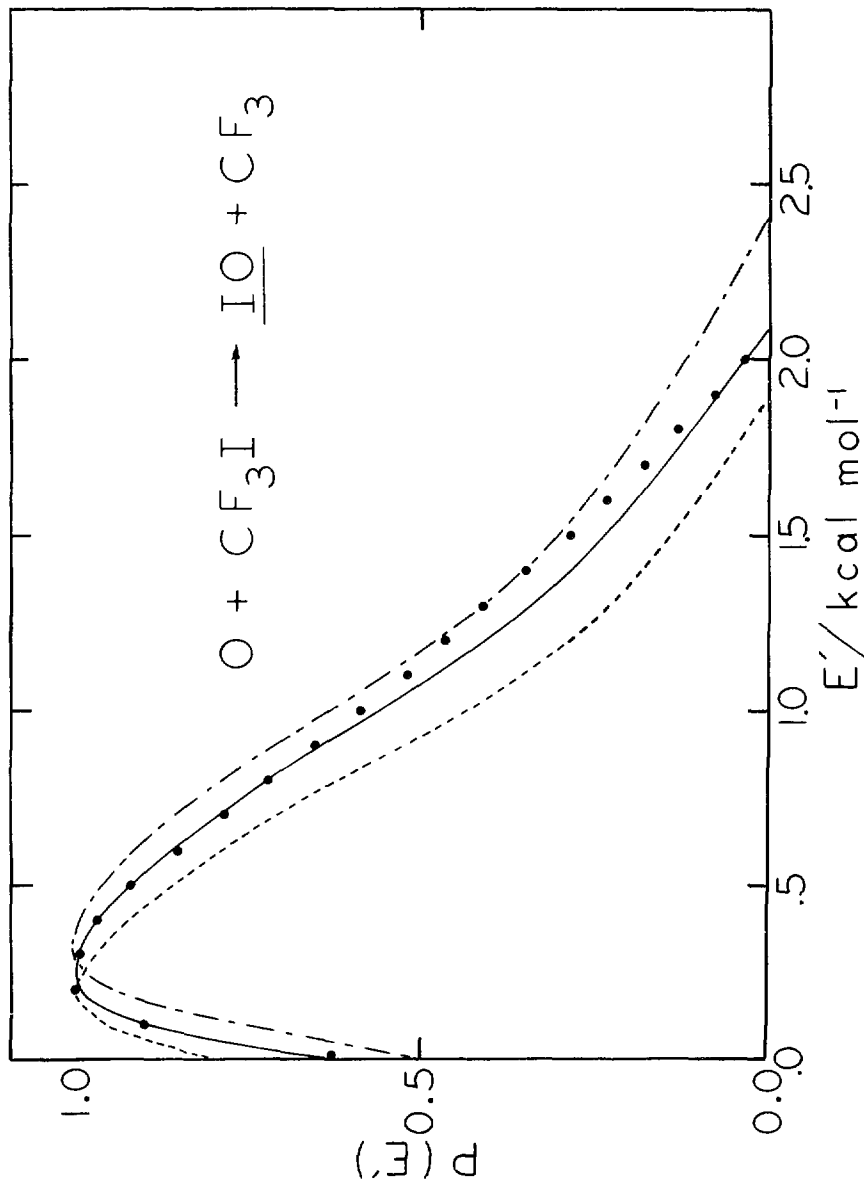


Fig. 6

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Fig. 7

IV. A CROSSED MOLECULAR BEAMS INVESTIGATION  
OF THE REACTIONS  $O(^3P) + C_6H_6, C_6D_6$

INTRODUCTION

The reactions of ground state oxygen atoms with both aliphatic and aromatic hydrocarbons are of considerable interest due to their importance in combustion processes, atmospheric chemistry, and photochemical air pollution. A relatively large number of kinetic studies have been reported for oxygen atom reactions with alkanes and alkenes in which reaction rate constants have been determined. Crossed molecular beams experiments employing photoionization mass spectrometry have recently been conducted by Gutman and his coworkers in order to directly identify the elementary reaction products resulting from oxygen atom reactions with various alkenes and alkynes.<sup>1-3</sup> In contrast to the above, atomic oxygen reactions with aromatic hydrocarbons have not been extensively studied. The simplest reactions of this class,  $O(^3P) +$  benzene and toluene, are the only atom-aromatic hydrocarbon reactions that have been studied by a variety of techniques. Relative reaction rates for the  $O(^3P) +$  benzene reaction have been determined using static photolysis techniques.<sup>4,5</sup> Absolute reaction rate constants for the  $O(^3P) +$  benzene reaction have been determined using pulsed radiolysis,<sup>6</sup> discharge flow,<sup>7-9</sup> modulation-phase shift,<sup>10,11</sup> and flash

photolysis-NO<sub>2</sub> chemiluminescence<sup>12</sup> techniques. In spite of these studies, very little information is available on the actual elementary reaction products arising from the bimolecular reaction of atomic oxygen with benzene, and, as a consequence of this, the reaction mechanism is poorly understood. Product identification is severely complicated in the above gas phase studies by the presence of viscous, non-volatile reaction products which are possibly polymeric in character.<sup>4,8</sup> These non-volatile products indicate that some of the initial elementary reaction products are highly reactive species which are possibly free radicals. The major volatile reaction product which has been consistently observed is phenol, which accounts for about 10-15% of the oxygen atom consumption in these studies.<sup>4,8,13</sup> Phenol has been shown to account for more than 95% of the volatile products which result when this reaction is studied at atmospheric pressure.<sup>8</sup> Carbon monoxide has also been reported as a reaction product whose yield, in pressure dependent studies, was found to increase with decreasing pressure.<sup>4</sup> This pressure dependent behavior may indicate the presence of an energy rich precursor which is collisionally quenched at high pressures. However, secondary reactions may account for some of the carbon monoxide production reported in these bulk studies. In a further

attempt to identify the elementary reaction products Sloane<sup>15</sup> has carried out a simple crossed beam experiment, employing effusive beams and a non-rotatable mass spectrometer, in which phenol production and carbon monoxide elimination, yielding possibly 3-pentene-1-yne, were reported as the two open reactive pathways. It is apparent from the above discussion that there is still considerable uncertainty about the elementary reaction products which arise from the electrophilic attack of oxygen atoms on benzene, which serves as the model system for understanding oxygen atom - aromatic ring reactions.

This paper describes the results from a series of well-defined crossed molecular beam experiments which have been carried out under single collision conditions in our laboratory to elucidate the reaction dynamics and energetics of the  $O(^3P) + \text{benzene}$  reaction. The reaction has been studied as a function of both collision energy and isotopic substitution in order to clarify the factors which dominate the reaction dynamics. Differential reactive angular distributions accompanied with velocity analysis of the reaction products at several laboratory angles have contributed to our understanding of the elementary reaction pathways which are operative. In particular, these studies make use of a novel and important

feature which is inherent in crossed beam experiments employing rotating mass spectrometer detectors: the ability to identify unambiguously the primary polyatomic reaction products resulting from bimolecular reactive collisions due to the dynamic and energetic constraints which are imposed on the reaction products. These experiments are especially well suited for studying reactions involving polyatomic species since parent-daughter ion pairs created in the electron bombardment ionizer of the detector must have identical angular and velocity distributions, while reaction channels involving different dynamics (e.g. substitution versus addition reactions) are clearly distinguishable by their angular and velocity distributions. In contrast to this, traditional gas phase studies which use non-rotatable mass spectrometric particle detection for product identification are frequently severely complicated by the fragmentation of parent polyatomic species in the electron bombardment ionizers of these systems. This is particularly a problem when highly vibrationally excited polyatomic species are ionized by electron bombardment as the parent ion mass peak may be of very low intensity relative to its daughter peaks. For example, the observation of  $m/e = 66$ ,  $C_5H_6^+$ , in the  $O(^3P) +$  benzene reaction is not in itself sufficient to differentiate

between phenol fragmentation during ionization and actual CO elimination. In the study herein described we have made extensive use of product angular distributions to unravel the primary reaction channels of the  $O(^3P) +$  benzene reaction.

#### EXPERIMENTAL

The crossed beam apparatus used in these studies was similar in design to one which has been previously described.<sup>16</sup> Briefly, two beams which are doubly differentially pumped are crossed at  $90^\circ$  in a scattering chamber which has a base pressure of ca.  $1 \times 10^{-7}$  torr. The main scattering chamber is pumped by a 5300  $\ell$ /sec diffusion pump and by a liquid nitrogen cooled cold shield which is very effective in pumping condensable gases. Particles which are scattered in the plane defined by the two colliding beams are detected by a triply differentially pumped quadrupole mass spectrometer which rotates about the intersection point of the two beams. The incident neutral particles are ionized in the detector by an electron bombardment ionizer which is operated with an electron energy of 200 eV. As the probability of ionization is proportional to the residence time of a particle in the ionizer these experiments actually



measure the scattered particle number density, rather than particle flux, as a function of in-plane laboratory angle.

The seeded, supersonic atomic oxygen beams used in these studies were generated by a high pressure, radio frequency discharge beam source which has been described in detail elsewhere.<sup>17,18</sup> The high energy atomic oxygen beam was generated by discharging a 10% O<sub>2</sub> in helium gas mixture at 110 torr total pressure by 130 watts of R.F. power. The resulting fast atomic oxygen beam had a measured peak velocity of  $1.95 \times 10^5$  cm/sec and a Mach number of 5.8, which corresponds to a FWHM velocity spread of 29%. For these studies the O<sub>2</sub> seeded in helium beam was run at relatively low R.F. power levels and at a relatively high molecular oxygen concentration in order to minimize the excited state O(<sup>1</sup>D<sub>2</sub>) content of the beam.<sup>18</sup> Molecular dissociation was about 55% under these operating conditions. The low energy atomic oxygen beam was generated by discharging a 10% O<sub>2</sub> in argon gas mixture at 250 torr total pressure by 195 watts of R.F. power. The relatively slow atomic oxygen beam produced in this manner had a measured peak velocity of  $1.13 \times 10^5$  cm/sec and a Mach number of 3.9, which corresponds to a FWHM velocity spread of 41%. The molecular oxygen was 90% dissociated under the operating conditions described above for the 10% O<sub>2</sub>-Ar gas mixture, and was free of any O(<sup>1</sup>D<sub>2</sub>) content as determined by

titration with a crossed beam of molecular hydrogen.<sup>18</sup> The oxygen-rare gas pressures were controlled by a vacuum regulator in these studies to ensure stable beam source operation at pressures below one atmosphere. A 5000 V/cm ion deflecting field was placed prior to the interaction zone of the scattering chamber in order to eliminate any interference from ions present in the atomic beam. For both the high and low energy experiments the oxygen beam was collimated to an angular divergence of  $2.2^\circ$  by two collimating elements placed after the source skimmer.

The benzene beam was run neat for these experiments at its room temperature vapor pressure of about 90 torr. The benzene reservoir was immersed in an oil bath in order to eliminate any rapid temperature fluctuations due to air currents present in the laboratory. The entire glass line leading from the benzene reservoir to the beam source was heated to at least 10K above the bath temperature in order to prevent condensation of benzene in the gas line. The nozzle tube and tip were heated to 326K, as determined by chromel-alumel thermocouples, again in order to prevent condensation from occurring and to eliminate any benzene dimers or higher polymers from being present in the terminal beam. (A pure, slightly heated benzene beam was decided upon when preliminary testing of a 300 torr, saturated

benzene-argon beam produced extensive dimer formation. See also Ref. 19 for further information about this dimerization phenomena.) The benzene beam produced in this manner was found to have a peak velocity of  $5.18 \times 10^4$  cm/sec and a Mach number of 5.8, which corresponds to a FWHM velocity spread of 33%. Perdeuterated benzene,  $C_6D_6$ , obtained from Aldrich Chemical Company with 99.5 atom percent deuterium content, was also run as described for benzene, and had a peak velocity of  $5.14 \times 10^4$  cm/sec and a Mach number of 4.9 (36% FWHM).

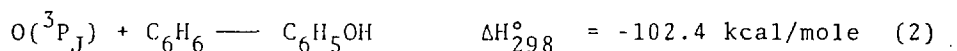
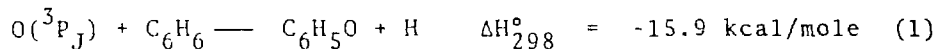
Initially the most probable collision energies for both the  $O + C_6H_6$  and  $O + C_6D_6$  systems were 6.5 kcal/mole ( $O_2$  seeded in helium) and 2.5 kcal/mole ( $O_2$  seeded in argon). The angular distributions shown in the next section were taken at these energies. In subsequent experiments slightly different beam conditions were employed ( $\bar{v}_O = 2.25 \times 10^5$  cm/sec,  $\bar{v}_{C_6H_6} = 5.30 \times 10^4$  cm/sec, and  $\bar{v}_{C_6D_6} = 5.25 \times 10^4$  cm/sec) which resulted in somewhat higher mean collision energies than those described above: 8.5 kcal/mole for  $O + C_6H_6$  and 8.6 kcal/mole for  $O + C_6D_6$ . The time-of-flight distributions presented later in this paper were recorded for collisions at these higher energies.

Laboratory angular distributions were obtained by taking several scans of 60 second counts at each angle, with

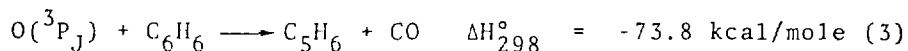
time normalization employed when warranted. The supersonic oxygen beam was modulated at 150 Hz with a tuning fork chopper and the number density data at each angle was obtained by subtracting the chopper-closed count from the chopper-open count. Product counting rates at the center-of-mass angle for  $m/e = 65$ , the predominant mass peak for the  $C_6H_6$  reaction, were typically 300 cts/sec and 80 cts/sec for the high and low energy experiments, respectively. The  $m/e = 70$  signal for the  $C_6D_6$  reaction was similarly found to be 550 cts/sec and 50 cts/sec for the high and low energy deuterated experiments. The larger counting rates for the high energy experiments are mainly due to the higher intensity of the fast oxygen beam relative to the slow oxygen beam. Velocity analysis of the various beams was done with conventional "single shot" time-of-flight techniques. Product time-of-flight distributions were obtained using cross-correlation time-of-flight techniques<sup>20,21</sup> with a 255-bit pseudorandom sequence operated with a 12  $\mu$ sec dwell time per channel. Counting times varied considerably depending upon the laboratory angle and product mass under investigation, with accumulation times of 30 minutes being representative.

## RESULTS

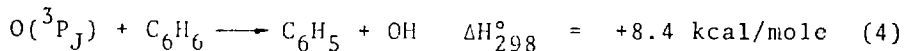
Two distinct reaction channels were observed in this study:



with the first channel corresponding to hydrogen elimination and the other to simple oxygen addition, presumably leading ultimately to phenol formation. No direct evidence for CO elimination from the collision complex was found:



where the reaction exoergicity was calculated assuming, for illustrative purposes only, that cyclopentadiene was the  $\text{C}_5\text{H}_6$  fragment. Similarly, no OH product was detected in these experiments indicating that the hydrogen abstraction channel was closed:



The absence of OH product is not surprising as the mean collision energies used were insufficient for endothermic abstraction to occur. The atomic oxygen reaction with predeuterated benzene was found to have the same open product channels as above, although the branching ratio between channels (1) and (2), at a given collision energy, differed significantly from the  $C_6H_6$  reaction.

Figures 1 and 2 show the angular distributions obtained for the high collision energy studies of the  $O + C_6H_6$  and  $O + C_6D_6$  reactions. The highly excited primary reaction products coming from channels (1) and (2), corresponding to hydrogen elimination (mass 93) and formation of a long-lived collision adduct (mass 94), fragment in the electron bombardment ionizer of our mass spectrometer detector to give  $C_5H_5^+$  ( $m/e = 65$ ) and  $C_5H_6^+$  ( $m/e = 66$ ) due to CO elimination from the parent species during ionization. These daughter fragment ions were the major fragment ions observed for all species, and were used for monitoring both the angular and velocity distributions of the parent molecules. The daughter ions corresponding to CO elimination from  $C_6D_5O$  and  $C_6D_5OH$ , respectively,  $C_5D_5^+$  ( $m/e = 70$ ) and  $C_5D_6^+$  ( $m/e = 72$ ), were also the major fragment ions of the perdeuterated benzene reaction. The parent ions at masses 94 and 93 for  $C_6H_6$  and masses 100 and 98 for  $C_6D_6$  were also directly observed, but

were of much lower intensity than their respective daughter ions. This can be clearly seen in Table I. The narrow angular distributions shown in Figs. 1 and 2 peak around their center-of-mass directions. Masses 66 and 72, corresponding to the addition channel products, have FWHM angular spreads of  $14^\circ$  and  $13^\circ$ . These distributions can be virtually reproduced by convoluting the finite velocity and angular spreads of the reactant beams with the resolution parameters of the detector. This indicates that the addition channel angular distributions follow the laboratory centroid distributions of the two reactive systems, demonstrating that the ions at masses 66 and 72 are predominantly daughter ions from the addition products  $C_6H_6O$  and  $C_6D_6O$ . The angular distributions of masses 65 and 70, having FWHM angular spreads of  $19^\circ$  and  $15^\circ$ , are both wider than those discussed above due to hydrogen or deuterium elimination from the collision complex. These differences in angular distribution widths between masses 65 and 66, and masses 70 and 72, rule out the possibility that the fragment ions having  $m/e = 65$  and  $70$  arise entirely from fragmentation of the same parent species as masses 66 and 72. This provides definitive proof that at a mean collision energy of 6.5 kcal/mole hydrogen elimination constitutes one of the two major open channels for the reaction of ground

state atomic oxygen with benzene. The narrow spread of the mass 65 and 70 angular distributions also precludes their formation *via* elimination of the relatively massive CO molecule from the collision complex as conservation of linear momentum would result in a much broader distribution. In subsequent high energy experiments the mass 93 and 98 parent ion angular distributions were obtained, and were found to be in good agreement with the mass 65 and 70 distributions. This provides further support for the hydrogen elimination channel.

The product angular distributions of the low energy collision experiments are shown in Figs. 3 and 4. These distributions, as has already been seen for the high energy data, peak along their center-of-mass directions. The mass 65 and 66 curves of Fig. 3 are superimposable within the uncertainty of the measurements (the error bars in Figs. 1-4 correspond to 95% confidence limits). This is very interesting and will be discussed later in this section. The low energy mass 70 distribution is qualitatively similar to the  $O + C_6H_6$  results. An accurate angular scan of mass 72 could not be obtained here due to the presence of a slight mass 72 impurity in the secondary (perdeuterobenzene) beam. Elastic scattering of this impurity greatly perturbed the wide angle shape of the



reactive distribution. This impurity was also present during the high energy  $O + C_6D_6$  experiments, but was of little concern since the high energy mass 72 reactive signal was much larger than the elastic signal. The high energy mass 72 reactive signal was in fact more than 50 times larger than the low reactive signal (580 counts/sec versus 10 counts/sec) due in part to differences in intensity of the oxygen beam.

Chronologically, it was decided to study the  $O + C_6D_6$  system only after hydrogen elimination was observed to be a major reactive channel in the  $O + C_6H_6$  system, as shown in Fig. 1. The hope here was that D atom elimination would further broaden the elimination channel's angular distribution, and thereby accentuate the dynamics of this process due to its heavier mass relative to atomic hydrogen. However, as seen in Fig. 2, this was not the case. The  $2^\circ$  FWHM angular width difference between the mass 70 and 72 distributions was actually less than the  $4^\circ$  difference observed for the mass 65 and 66 distributions. This was the first indication that the branching ratio between channels (1) and (2) was isotope dependent and prompted us to examine the relative intensities of the observable parent and daughter ion peaks for the  $O + C_6H_6$  and  $O + C_6D_6$  systems.

In Table I the relative intensities of the detected ion masses, accurate to within 10%, are presented. These values represent the relative signal levels for each system taken at their respective center-of-mass angles. It is immediately obvious that the branching ratio between channels (1) and (2) is dependent upon both collision energy and isotopic substitution. If we assume that mass 94 (100) fragments in the electron bombardment ionizer to give roughly equal amounts of masses 66 (72) and 65 (70) while mass 93 (98) fragments to yield predominantly mass 65 (70), then the results shown in Figs. 1, 2, and 3 and Table I form a consistent picture of the  $O + C_6H_6$  ( $C_6D_6$ ) reaction. The above fragmentation scheme implies that the observed signal at  $m/e = 65$  (70) is a composite of both the addition and elimination channels. For reaction conditions which do not strongly favor channel (1) (elimination) over channel (2) (addition) this in turn implies that the measured daughter ion distributions should be quite similar, with the mass 65 (70) angular distribution appearing *narrowed* due to its contribution from mass 94 (100). This explains the unexpected narrow width of the mass 70 angular distribution shown in Fig. 2 since the high energy  $O + C_6D_6$  system does in fact have a large relative amount of the addition product (as

demonstrated by the large daughter ion intensity at  $m/e = 72$ ). From Table I we can conclude that, for a given collision energy, there is more of the addition product formed in the  $C_6D_6$  reaction relative to the  $C_6H_6$  reaction, and that increasing collision energy tends to favor the addition channel over the elimination channel. The assumed branching ratio for mass 94 fragmentation in the above argument is based on the observed fragmentation pattern of ground state phenol.<sup>22</sup> The proposed fragmentation of mass 93 to yield predominantly  $m/e = 65$  is based on the relative improbability of losing a mass 27 particle versus a mass 28 particle (CO) during ionization.

The opposite of the above argument occurs only when the elimination channel is *very* strongly favored with respect to the addition (phenol forming) channel. In this case the  $m/e = 66$  (72) daughter peak actually begins to reflect the mass 93 (98) distribution due to the small but finite fragmentation ratio of  $m/e = 66$  (72) to  $m/e = 65$  (70) for the elimination product. (For example, examination of the cracking pattern for ground state phenol indicates that  $m/e = 67$  to  $m/e = 66$  ratio is about 0.075.<sup>22</sup>) Carbon-13 containing fragments also become important in the limit of low phenol production. The low energy

$O + C_6H_6$  data presented in Table I and Fig. 3 is consistent with this description. The mass 65 and 66 angular distributions at 2.5 kcal/mole collision energy were virtually superimposable within the uncertainty of the experiment, and the large ( $>10:1$ )  $m/e = 65$  to  $m/e = 66$  ratio indicates that the primary elementary reaction product was mass 93 (98). These conclusions, taken with those in the preceding paragraph, indicate that the relative intensities shown in Table I do not represent the actual branching ratios for this reaction as the daughter ion signals contain contributions from fragmentation of both the addition and elimination reaction products.

Understanding the energy dependence of the product branching ratio is, at the present time, further complicated by the known presence of  $O(^1D_2)$  in the high energy (helium seeded) oxygen beam. Thus, some product from the reaction  $O(^1D_2) + C_6H_6$  ( $C_6D_6$ ) may be contributing to the high collision energy results. Work is currently in progress in an attempt to gauge the relative contribution of this alternative reaction pathway.

Recently, we have also carried out velocity analysis of the major observable ion peaks for high energy  $O + C_6H_6$  (8.5 kcal/mole) and  $O + C_6D_6$  (8.6 kcal/mole) collisions. These results provide what we believe to be compelling

evidence for the presence of the hydrogen elimination channel and for the low probability of CO elimination at relatively high collision energies. These results support our earlier conclusions. Figure 5 presents the cross-correlation time-of-flight (TOF) data for the  $O + C_6H_6$  system taken  $1^\circ$  from its most probable center of mass angle. The spectra shown for  $m/e = 93, 66,$  and  $65$  have all been corrected for their respective ion flight times. Three major conclusions can be inferred from this figure. First, note that the mass 93 (parent mass of the elimination channel) and mass 65 (daughter ion from mass 93) spectra agree very closely, especially at higher velocities. These two data sets are also wider than the mass 66 spectrum, indicating the influence of hydrogen elimination. Therefore, the parent-daughter relationship of  $m/e = 93$  and  $65$  is clearly established. Next, the peak of the  $m/e = 66$  distribution peaks at the most probable center-of-mass velocity ( $5.83 \times 10^4$  cm/sec) for this collision system, confirming the assumption that the  $m/e = 66$  signal is due to fragmentation of the mass 94 adduct. Finally, the absence of any high velocity peaks in the  $m/e = 66$  and  $65$  spectra (with the possible exception of a very minor contribution at channel 10) indicates the low probability of the CO elimination channel. The Newton diagram displayed above these spectra helps to clarify this point.

The larger velocity circle represents the expected mass 66 velocity circle assuming that 10% of the available energy (collision energy plus exoergicity) from the CO elimination channel goes to product translation. If CO elimination were a significant product channel a peak in the  $m/e = 66$  and 65 ( $m/e = 65$  would be expected from fragmentation of mass 66 in the ionizer) TOF spectra would be expected around channel 12. No such peak is observed, indicating the low probability of the CO elimination channel. The smaller circle in this Newton diagram represents the limit of expected mass 93 velocity spread about the most probable center-of-mass velocity, assuming 100% of the available energy for the hydrogen elimination process goes to product translation. Good agreement is found between the predicted velocity spread and the observed width of the TOF spectra. (Of course most of the observed broadening is due to the finite velocity width of the two reactant beams, with some additional broadening coming from recoil of the products having much less than 100% of the available energy going to translation).

The TOF results for the  $O + C_6D_6$  system are shown in Fig. 6. At the center-of-mass angle ( $50^\circ$ ) the  $m/e = 98$ , 72, and 70 distributions are seen to peak near channel 25, which corresponds to this system's most probable center-of-mass velocity, ca.  $5.7 \times 10^4$  cm/sec. As in the  $O + C_6H_6$

reaction, the addition channel daughter ion at  $m/e = 72$  is narrower than the elimination channel daughter ion at  $m/e = 70$ . The parent mass of the elimination channel was also recorded, and is seen to follow the daughter distribution within the uncertainty of the measurement. The absence of any high energy peaks once again indicates that CO elimination is a low probability event. Angle dependent data, shown for  $\theta = 42^\circ$  and  $62^\circ$  was also taken in order to clearly demonstrate the different origins of the  $m/e = 72$  and  $70$  signals. At  $42^\circ$  the larger width of the  $m/e = 70$  spectrum relative to the  $m/e = 72$  spectrum is obvious, with this increased width due to deuterium elimination. The overall shift of these two curves to lower velocities relative to the  $\theta = 50^\circ$  spectra occurs since the distribution of LAB center-of-mass velocity vectors are not orthogonal to the distribution of relative velocity vectors, i.e.,  $90^\circ$  in the Center-of-Mass reference frame is not coaxial with the most probable LAB center-of-mass angle. Furthermore, at  $42^\circ$  the apparent shift to higher velocities of the  $m/e = 70$  spectra relative to the  $m/e = 72$  spectra is due to the LAB to Center-of-Mass transformation. At  $\theta = 62^\circ$  the two curves are again separated in time space, with their shifts relative to the  $\theta = 50^\circ$  spectra, and with

respect to each other, explainable as above. The low velocity tail of the  $m/e = 72$  spectrum at this angle can be attributed to a contaminant effusing from the differential pumping region of the perdeuterobenzene beam.

#### DISCUSSION

Under single collision conditions the  $O(^3P) + \text{benzene}$  reactions has been observed to proceed by two distinct elementary reaction pathways. These correspond to the addition of atomic oxygen to benzene to form a long-lived collision adduct, presumably phenol, and to the substitution of atomic oxygen for a hydrogen atom, i.e., hydrogen elimination. The branching ratio between these two channels has been found to be both isotope and energy dependent, with the addition channel being favored with respect to elimination for increasing collision energy and deuterium substitution. These results represent the first unambiguous determination of the elementary reaction products which are formed in this reaction. Our ability to measure both the angular and velocity distributions of the parent and daughter ion species was essential for unraveling the complex reaction mechanism of this system.



A schematic energy level diagram picturing the important reaction pathways is shown in Fig. 7. The zero of energy in this figure was taken as the heat of formation of the reactants. The ground state of phenol, as well as the CO, OH, and H atom product channels were all located with respect to ground state reactants by their heats of formation.<sup>23,24</sup> A recent value for the heat of formation of the phenoxy radical was used in fixing the hydrogen elimination energy level.<sup>25</sup> The triplet biradical energy level of phenol was fixed relative to ground state singlet phenol by the experimentally determined singlet-triplet transition energy observed by Lewis and Kasha,<sup>26</sup> which is in good agreement with the splitting calculated by Dewar and Trinajstić.<sup>27</sup> The ground vibrational level of triplet phenol is stable by ca. 21 kcal/mole with respect to reactants. The first excited singlet state of phenol,  $S_1$ , has not been shown in this figure, but is known to fall about 105.8 kcal/mole above  $S_0$ , the ground singlet state of phenol.<sup>28,29</sup> This experimentally determined  $S_1$ - $S_0$  splitting is in fair agreement with that calculated by Dewar and Trinajstić.<sup>27</sup> The two dashed curves represent energy barriers of unknown magnitude corresponding to the energy needed to access the spin-forbidden triplet-singlet

transition, and the barrier to decomposition of singlet phenol to form CO and C<sub>5</sub>H<sub>6</sub> (which is represented as cyclopentadiene in the figure). The pyrolysis studies of Cypres and Bettens<sup>30</sup> indicate that the CO and C<sub>5</sub>H<sub>6</sub> do in fact correlate with phenol in its singlet ground state. The two most probable collision energies at which we have studied this reaction are indicated by E<sub>1</sub> and E<sub>2</sub> in Fig. 7. Finally, the entrance barrier of the O(<sup>3</sup>P) + benzene reaction has not been drawn explicitly, but is known to be present due to the ca. 4 kcal/mole activation energy of this reaction.<sup>12</sup> With this energy level diagram in mind our conceptualization of the reaction mechanism is now presented.

The initial O(<sup>3</sup>P) electrophilic attack on benzene probably forms a triplet biradical adduct whose lifetime is believed to be  $\leq$  1 nsec. This highly energetic reaction intermediate can then decay by a variety of channels: it can chemically decompose back to reactants, eliminate a hydrogen atom, or, *via* a radiationless transition, cross into the S<sub>0</sub> manifold of phenol. Hydrogen elimination from the triplet biradical is viewed as being a more favorable decay route than oxygen elimination as it is the more exoergic process. The relatively long lifetime

associated with radiative  $T_1-S_0$  phosphorescence precludes its consideration here as a relevant decay channel. Opening of the aromatic ring is also not believed to be a major decay route due to the expected large energy threshold of this process. Under the conditions of this experiment hydrogen abstraction is an endoergic process, and is therefore not a thermodynamically allowed process under our experimental conditions.

In this study two main reaction channels were actually observed: hydrogen elimination and  $C_6H_6O$  (presumably phenol) formation. Consequently, we view the next step of the reaction mechanism as being a competition between atomic hydrogen elimination from the triplet adduct, and intersystem crossing to internally excited singlet phenol. Our calculated statistical lifetime of this excited  $S_0$  phenol is quite long, always  $>1$  msec, in agreement with our observation that some  $m/e = 94$  (100) product from the  $C_6H_6$  ( $C_6D_6$ ) reaction lives long enough to reach our mass spectrometer. This observation also reinforces our belief that a large energy barrier must exist for the unimolecular decomposition of internally excited singlet phenol to form CO and  $C_5H_6$ . This is not unreasonable as breaking of the aromatic ring probably requires that the complex pass through a highly energetic critical configuration.

Examination of the relative product intensities shown in Table I indicates that the branching ratio between the hydrogen elimination and intersystem crossing channels is energy dependent. This is seen by the increase in  $m/e = 66$  (72) intensity which reflects the presence of the adduct product, mass 94 (100), relative to that of  $m/e = 65$  (70) which reflects primarily the intensity of the electron product, mass 93 (98), as the collision energy is increased from 2.5 to 6.5 kcal/mole. This observation suggests that the  $T_1 - S_0$  surface crossing probability increases with increasing energy in the regime 23.5 to 27.5 kcal/mole above the minimum energy configuration of  $T_1$ . Sloane<sup>15</sup> has performed a crude SCF calculation which fixes a  $T_1 - S_0$  crossing point at ca. 38 kcal/mole above the minimum energy configuration of  $T_1$ . Although this was not a "chemically accurate" value it bears out the possibility of an energy dependent branching ratio. Also, a small energy barrier may be present in the  $T_1$  energy surface for the geometrical rearrangement of the initially formed triplet adduct (O and H bound to the same carbon atom) to one in which the H atom is bound to the oxygen atom (phenol-like configuration). The Franck-Condon overlap integrals for the nonradiative  $T_1 - S_0$  transition are probably larger for the "phenol-like" triplet configuration.

The near total absence of phenol product in our low energy  $O + C_6H_6$  experiment (as indicated by the low relative intensity of  $m/e = 66$ , with some of this due in fact to  $^{13}C$  containing  $C_6H_6$ ) may also indicate the presence of the implied energy threshold needed to access the  $T_1-S_0$  surface crossing.

Also in question is the actual distribution of total energies present in the reaction intermediate. Several kinetic studies have confirmed the existence of a 4 kcal/mole Arrhenius activation energy in the reaction of  $O(^3P)$  with benzene.<sup>12</sup> This implies that a small entrance channel barrier is present in the triplet surface. Thus, although the most probable collision energies are 2.5 and 6.5 kcal/mole, the most probable excitations of the triplet adduct may be greater than these collision energies indicate. This is certainly true for Sloane's<sup>15</sup> crossed effusive beam study as his most probable collision energy was only 0.61 kcal/mole. Apparently collisions involving molecules in the high energy tails of his Maxwellian distributions were the ones leading to reaction.

As mentioned above, the relative intensity data presented in Table I also indicates that the branching ratio between hydrogen elimination and intersystem crossing is isotope dependent. This is expected as both the rate of

hydrogen atom elimination and that of the radiationless  $T_1-S_0$  transition are isotope dependent. The elimination channel is sensitive to the "primary isotope effect",<sup>31</sup> which implies that the perdeutero complex will decompose at a slower rate than the perhydro rate. This is primarily due to the higher state density of the deuterated reactant and to the higher critical energy of the deuterated transition state due to the substantially lower zero-point energy of the deuterated reactant relative to the values for the hydrogenated species. The above isotope effect implies that, for a given collision energy, the elimination/intersystem crossing branching ratio should decrease upon deuteration if the intersystem crossing rate depends weakly on isotopic substitution, as is seen in Table I, due to the slower rate of decomposition of the perdeuterated triplet adduct.

Actually, deuteration should also decrease the rate of the spin-forbidden  $T_1-S_0$  nonradiative transition. This is a consequence of Siebrand's<sup>32-36</sup> "energy gap law" which states that the radiationless transition rate is an exponentially decreasing function of the energy gap. Deuteration increases the dimensionless energy gap  $\Delta E_{TS}/\hbar\omega_a$  where  $\omega_a$  is the frequency of the accepting mode (CH or CD stretch). The dominant factor in the above is the decrease in the Franck-Condon factor which connects

the initial (triplet donor) and final (singlet acceptor) states. This is due to the strongly decreasing vibrational overlap of these states with increasing vibrational quantum number of the accepting mode. Hence deuteration, which effectively increases the quantum number of the accepting mode due to its lower zero point energy, clearly decreases the nonradiative transition rate. This discussion indicates that the elimination/ intersystem crossing branching ratio should increase upon deuteration due to the slower nonradiative decay rate of the triplet adduct. The experimentally observed trend shown in Table I changes in the opposite direction from this, possibly indicating that the primary isotope effect may be more important in governing the decay characteristics of the triplet reaction intermediate. However, the possible presence of products due to  $O(^1D_2)$  (which is known to be present in the high energy oxygen beam) does not allow quantitative analysis of the branching ratio data to be made at this time. Uncertainties about the fragmentation patterns of the parent species further complicate attempts to quantify the degree to which collision energy and isotopic substitution influence the product branching ratio. Finally, in the above conceptualization of the overall reaction mechanism, opening

of the aromatic ring and the possible influence of other low lying electronic states ( $S_1$  and  $T_2$ ) were neglected as the information content of the present data neither suggest no warrant their consideration.

Earlier studies of the  $O(^3P) + \text{benzene}$  reaction had reported that CO elimination was an important reaction pathway.<sup>4,15</sup> Our results indicate that CO elimination, if it is occurring at all, is a relatively minor product channel. The absence of any high energy peaks in the product time-of-flight spectra shown in Figs. 5 and 6, as discussed in detail in the preceding section of this paper, provides strong support for the relative unimportance of the CO elimination channel for high energy ( $\geq 6$  kcal/mole) collisions. The angular distributions shown in Figs. 1 and 2 also support our view as they have shown, in a very direct manner, that the  $m/e = 66$  (72) signal is overwhelmingly due to fragmentation of highly excited mass 94 (100) reaction product in our electron bombardment ionizer. However, it should be clearly stated that if CO elimination were occurring the resulting mass 66 (72) product would be harder to detect in our experiment as it would have a much higher velocity, and would be spread over a much larger solid angle, than that arising from fragmentation of mass 94 (100). Time-of-



flight analysis of the reaction products coming from low energy  $O(^3P) + C_6H_6$  ( $C_6D_6$ ) collisions must also be carried out in order to determine whether CO elimination is an open channel under those conditions. As Boocock and Cvetanović's experiment<sup>4</sup> was carried out under "multiple collision conditions" secondary reactions involving  $O(^3P)$  atoms and radical products might be the source of their observed CO. More importantly, Sloane<sup>15</sup> also postulated that CO elimination was a primary reaction channel. This was based on his observation of a strong  $m/e = 66$  signal in his crossed effusive beam experiment, which employed a fixed (non-rotatable) electron bombardment ionizer-quadrupole mass spectrometer detector. On the basis of the appearance potentials observed for  $C_5H_6^+$  (minor threshold at ca. 9.0 eV and major product threshold at ca. 9.6 eV) he proposed that cyclopentadiene was a minor product and that 3-pentene-1-yne was a major product coinciding with CO elimination. Our study has unambiguously shown that the strong  $m/e = 66$  peak can predominantly be associated with fragmentation of highly excited mass 94 adduct during electron bombardment ionization. As the mass 94 adduct produced in the  $O(^3P) +$  benzene reaction has  $> 102.4$  kcal/mole of internal excitation relative to ground state phenol it is not surprising that the appearance potential

for  $C_5H_6^+$  production is shifted to a lower value than that found for internally cool phenol. Although Sloane discussed the above probability<sup>15</sup> he ultimately concluded that CO elimination was a major reaction pathway. This conclusion is contraindicated by the results of our experiment.

The presence of viscous, polymeric reaction products<sup>4,8</sup> in gas phase studies suggests the presence of radical reaction products. Our observation that the phenoxy radical (H atom elimination is a major reaction product, especially at low collision energies, supports this contention. The results of Mani and Sauer<sup>6</sup> and Bonanno et al.<sup>8</sup> strongly suggest that under multiple collision conditions the reaction proceeds with a slow (rate determining initial attack of  $O(^3P)$  on benzene, followed by subsequent radical-radical reactions which lead ultimately to polymeric products. The discrepancy between the rate constants determined by Atkinson and Pitts<sup>10</sup> and Colussi et al.<sup>4</sup> may be due to  $O(^3P)$  consumption in the former study by reaction with radicals formed in the initial  $O(^3P) +$  benzene reaction. Spectroscopic examination of the polymeric residue using IR absorption and NMR suggests the presence of -OH, C-O-C, and -CHO functional groups.<sup>8</sup> Mass spectrometric analysis of the polymeric residue yields many mass peaks, with  $m/e = 185$  being the highest value observed.<sup>8</sup>

We think it is possible that sequential attack of phenoxy radicals on benzene, and subsequently on the more reactive benzene-phenoxy reaction products, could produce a long-chain polymer, which, upon ionization, would yield mass 185 as a peak. This fragment might be an ether-like substance:  $(\text{C}_6\text{H}_5\text{-O-C}_6\text{H}_4\text{-O})^+$ ,  $m/e = 185$ . Although this is speculation, it seems plausible as either linkages have been inferred from IR spectra, phenoxy radicals are known to be present from this study, and  $m/e = 185$  was observed in the mass spectrum reported by Bonanno et al.

#### CONCLUSION

The reaction of  $\text{O}(^3\text{P})$  with benzene has been shown to initially proceed by the addition of atomic oxygen to benzene, presumably forming a triplet biradical intermediate, which subsequently decays *via* either hydrogen elimination or nonradiative transition to the  $\text{S}_0$  manifold of phenol. The branching ratio between these two reaction channels has been found to be both isotope and energy dependent, with the addition channel being favored with respect to elimination for increasing collision energy and deuterium substitution. Our results unambiguously confirm that oxygen addition and hydrogen elimination are the major open reaction channels while CO elimination, if occurring at all, is a relatively minor reaction

pathway. This study illustrates that crossed molecular beam experiments employing both product velocity and angular distribution analysis using mass spectrometric particle detection are extremely well suited for unraveling the complex reaction mechanisms of gas phase radical reactions. This is due to the dynamic and energetic constraints which are imposed on the reactive products produced in a bimolecular reactive collision. Future studies using our supersonic atomic oxygen beam source will include reactions with aliphatic, olefinic, and other aromatic hydrocarbons in order to arrive at a more complete understanding of atomic oxygen-hydrocarbon reactions.

REFERENCES

1. J. R. Kanofsky and D. Gutman, Chem. Phys. Lett. 15, 236 (1972).
2. J. R. Kanofsky, D. Lucas, F. Pruss, and D. Gutman, J. Phys. Chem. 78, 311 (1974).
3. J. R. Kanofsky, D. Lucas, and D. Gutman, 14th Intern. Symp. Combust. (1973), 285-294, Pittsburgh, PA.
4. G. Boocock and R. J. Cvetanović, Can J. Chem. 39, 2436 (1961).
5. E. Grovenstein, Jr. and A. J. Mosher, J. Amer. Chem. Soc. 92, 3810 (1970).
6. I. Mani and M. C. Sauer, Jr., Advan. Chem. Ser. 82, 142 (1968).
7. L. I. Avramenko, R. V. Kolesnikova, and G. I. Savinova, Izvest. Akad. Nauk. SSSR, Ser. Khim. 28 (1965).
8. R. A. Bonanno, P. Kim, J.-H. Lee, and R. B. Timmons, J. Chem. Phys. 57, 1377 (1972).
9. S. Furuyama and N. Ebara, Intern. J. Chem. Kinetics 7, 689 (1975).
10. R. Atkinson and J. N. Pitts, Jr., J. Phys. Chem. 78, 1780 (1974).
11. A. J. Colussi, D. L. Singleton, R. S. Irwin, and R. J. Cvetanović, J. Phys. Chem. 79, 1900 (1975).
12. R. Atkinson and J. N. Pitts, Jr., Chem. Phys. Lett. 63, 485 (1979).

13. J. C. Chu, H. C. Ai, and D. F. Othmer, *Ind. Eng. Chem.* 45, 1266 (1953).
14. R. E. Huie and J. T. Herron, in Progress in Reaction Kinetics, K. R. Jennings and R. B. Cundall, Eds. (Pergamon, Oxford, 1975) Vol. 8, pp. 60-63.
15. T. M. Sloane, *J. Chem. Phys.* 67, 2267 (1977).
16. Y. T. Lee, J. D. McDonald, P. R. LeBreton and D. R. Herschbach, *Rev. Sc. Instrum.* 40, 1402 (1969).
17. S. J. Sibener, R. J. Buss and Y. T. Lee, Xlth International Symposium on Rarefied Gas Dynamics, Cannes, France, 1978, in press.
18. S. J. Sibener, R. J. Buss, and Y. T. Lee, submitted to *Rev. Sci. Instrum.*
19. K. C. Janda, J. C. Hemminger, J. S. Winn, S. E. Novick, S. J. Harris, and W. Klemperer, *J. Chem. Phys.* 63, 1419 (1975).
20. V. L. Hirschy and J. P. Aldridge, *Rev. Sci. Instrum.* 42, 381 (1971).
21. K. Sköld, *Nucl. Instrum. Meth.* 63, 114 (1968).
22. Atlas of Mass Spectral Data, Vol. 1, E. Stenhagen, S. Abrahamsson, and F. W. McLafferty, Eds. (Interscience, New York, 1969) p.48.
23. S. W. Benson, Thermochemical Kinetics, Second Ed. (John Wiley and Sons, New York, 1976).

24. H. M. Rosenstock, K. Draxl, B. W. Steiner, and J. T. Herron, *J. Phys. Chem. Ref. Data* 6, Suppl. #1, 1977.
25. A. J. Colussi, F. Zabel, and S. W. Benson, *Intern. J. Chem. Kinetics* 9, 161 (1977).
26. G. N. Lewis and M. Kasha, *J. Amer. Chem. Soc.* 66, 2100 (1944).
27. M. J. S. Dewar and N. Trinajstić, *J. Chem. Soc. A.* 9, 1220 (1971).
28. H. J. Teuber and W. Schmidtke, *Chem. Ber.* 93, 1257 (1960).
29. H. Zimmerman and N. Joop, *Z. Electrochem.* 65, 61 (1961).
30. a) R. Cypres and B. Bettens, *Tetrahedron* 30, 1253 (1974);  
b) R. Cypres and B. Bettens, *Tetrahedron* 31, 359 (1975).
31. W. Forst, *Theory of Unimolecular Reactions* (Academic, New York, 1973) p.350.
32. W. Siebrand, *J. Chem. Phys.* 44, 4055 (1966).
33. W. Siebrand and D. F. Williams, *J. Chem. Phys.* 46, 403 (1967).
34. W. Siebrand, *J. Chem. Phys.* 46, 440 (1967).
35. W. Siebrand, *J. Chem. Phys.* 47, 2411 (1967).
36. W. Siebrand and D. F. Williams, *J. Chem. Phys.* 49, 1860 (1968).

Table I. Relative Intensities of the Detected Ion Masses.

	Mass	Species	Collision Energy	
			6.5 kcal/mole	2.5 kcal/mole
O + C <sub>6</sub> H <sub>6</sub>	94	C <sub>6</sub> H <sub>5</sub> OH	0.01	< 0.005
	93	C <sub>6</sub> H <sub>5</sub> O	0.08	0.01
	66	C <sub>5</sub> H <sub>6</sub>	0.21	0.08
	65	C <sub>5</sub> H <sub>5</sub>	1.00	1.00
O + C <sub>6</sub> D <sub>6</sub>	100	C <sub>6</sub> D <sub>5</sub> OD	0.04	< 0.005
	98	C <sub>6</sub> D <sub>5</sub> O	0.04	< 0.005
	72	C <sub>5</sub> D <sub>6</sub>	1.05	0.18
	70	C <sub>5</sub> D <sub>5</sub>	1.00	1.00



FIGURE CAPTION

- Fig. 1. Angular distribution from the reaction  $O(^3P) + C_6H_6$ ,  $E_c = 6.5$  kcal/mole. The primary reaction products formed were  $C_6H_5O$  and  $C_6H_5OH$ , which subsequently fragmented during electron bombardment ionization.
- Fig. 2. Angular distributions from the reaction  $O(^3P) + C_6D_6$ ,  $E_c = 6.5$  kcal/mole. The primary reaction products formed were  $C_6D_5O$  and  $C_6D_5OD$ , which subsequently fragmented during electron bombardment ionization.
- Fig. 3. Angular distributions from the reaction  $O(^3P) + C_6H_6$ ,  $E_c = 2.5$  kcal/mole.
- Fig. 4. Angular distribution from the reaction  $O(^3P) + C_6D_6 \rightarrow C_6D_5O + D$ ,  $E_c = 2.5$  kcal/mole. Data corresponding to the addition channel could not be obtained due to the presence of an  $m/e = 72$  contaminant in the  $C_6D_6$  beam.
- Fig. 5. Product time-of-flight data for the high energy  $C_6H_6$  reaction. The excellent agreement between the  $m/e = 93$  and  $m/e = 65$  spectra confirms that  $m/e = 65$  is a daughter ion of the  $C_6H_5O$  reaction product. The absence of any fast  $m/e = 66$  or  $65$  signal indicates that CO elimination is a

relatively minor reaction pathway. All spectra have been corrected for their respective ion flight time offsets. Newton diagram key: larger circle indicates expected mass 66 velocity if 10% of the available energy from the CO elimination channel goes to product translation; smaller circle indicates expected mass 93 velocity if 100% of the available energy from the hydrogen atom elimination channel goes to product translation.

Fig. 6. Product time-of-flight data at three laboratory angles for the high energy  $C_6D_6$  reaction. The low velocity tail of the  $m/e = 72$  spectrum at  $\theta = 62^\circ$  is due to effusion of a contaminant from the  $C_6D_6$  differential pumping region. All spectra have been corrected for ion flight time offsets.

Fig. 7. Energy level diagram of the  $O(^3P) + \text{benzene}$  reaction.  $E_1$  and  $E_2$  correspond to the two collision energies used in this study.

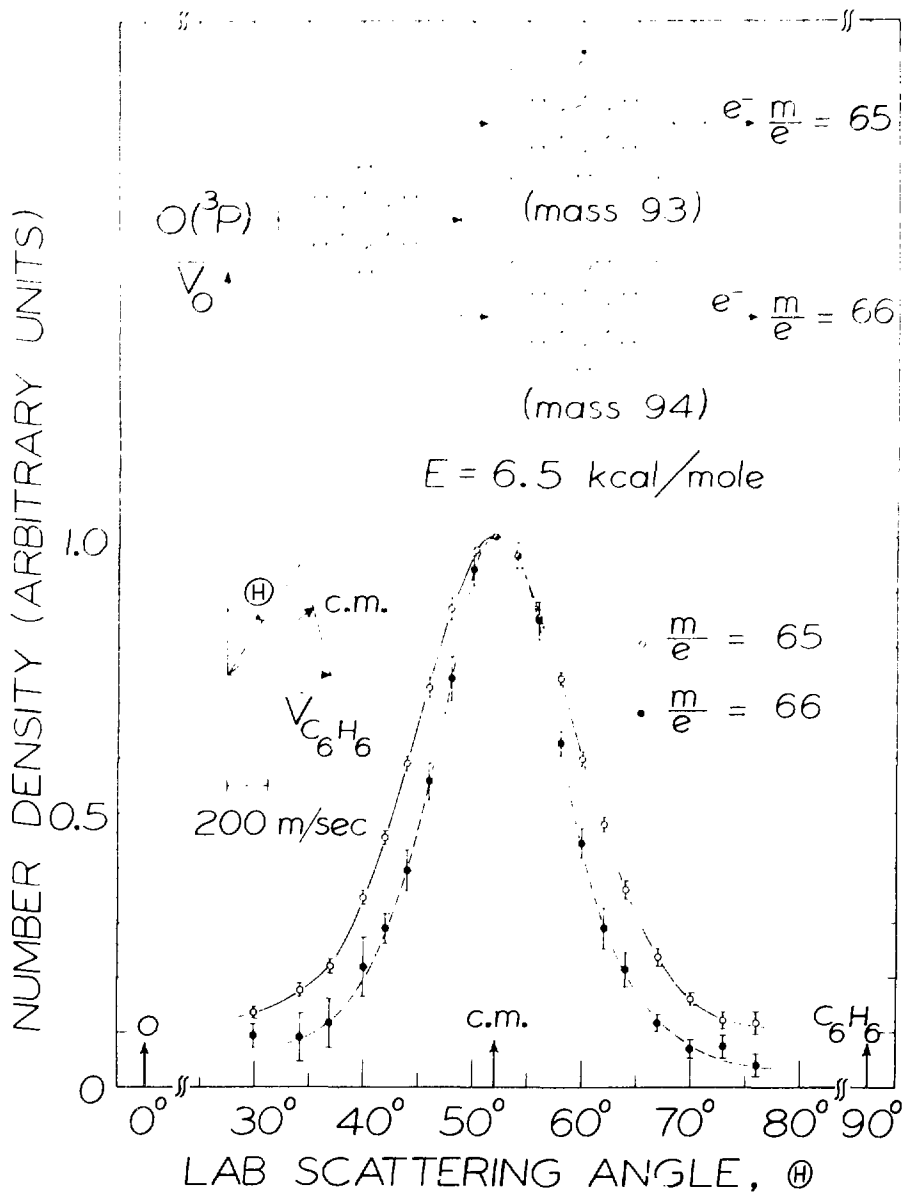


Fig. 1

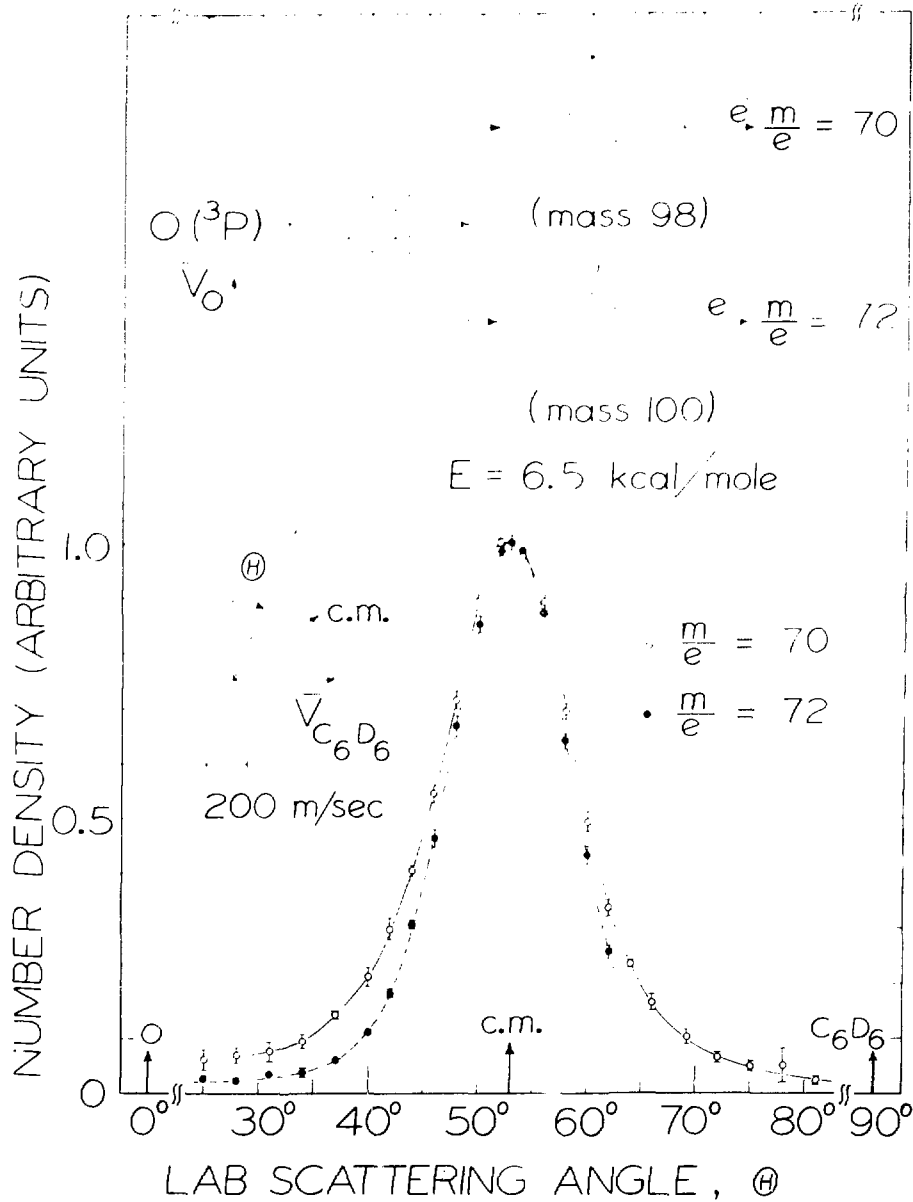


Fig. 2

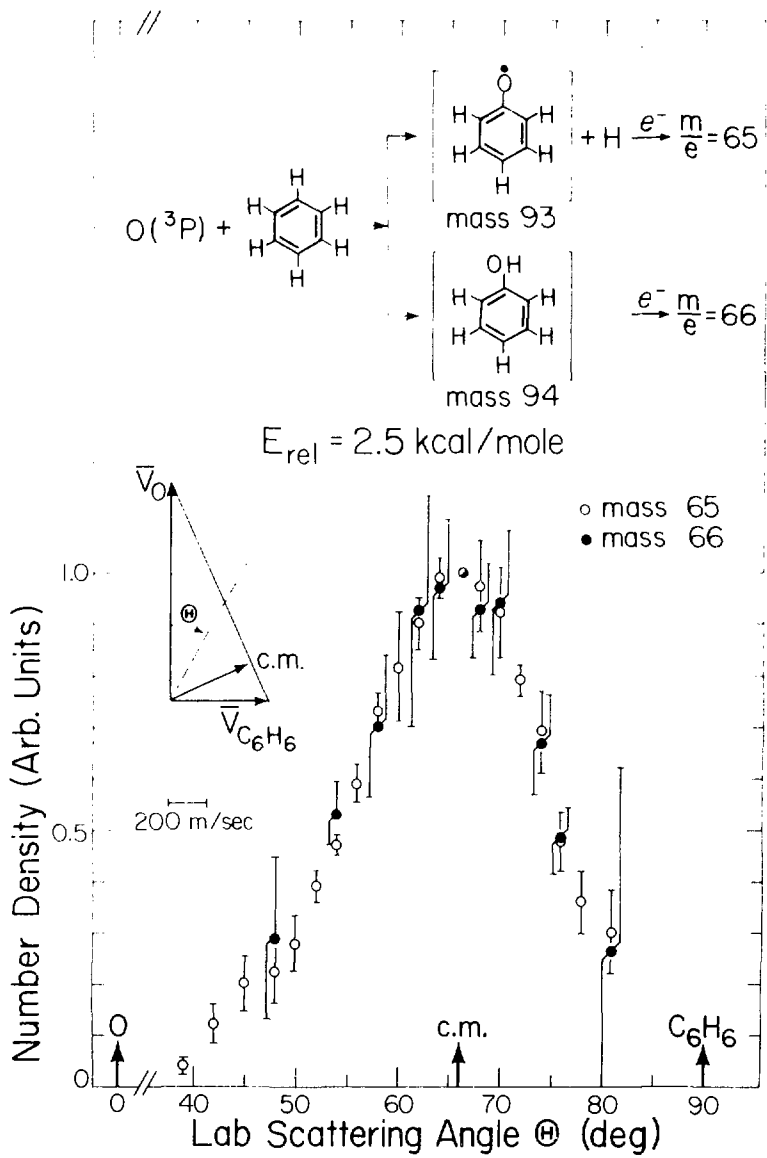


Fig. 3

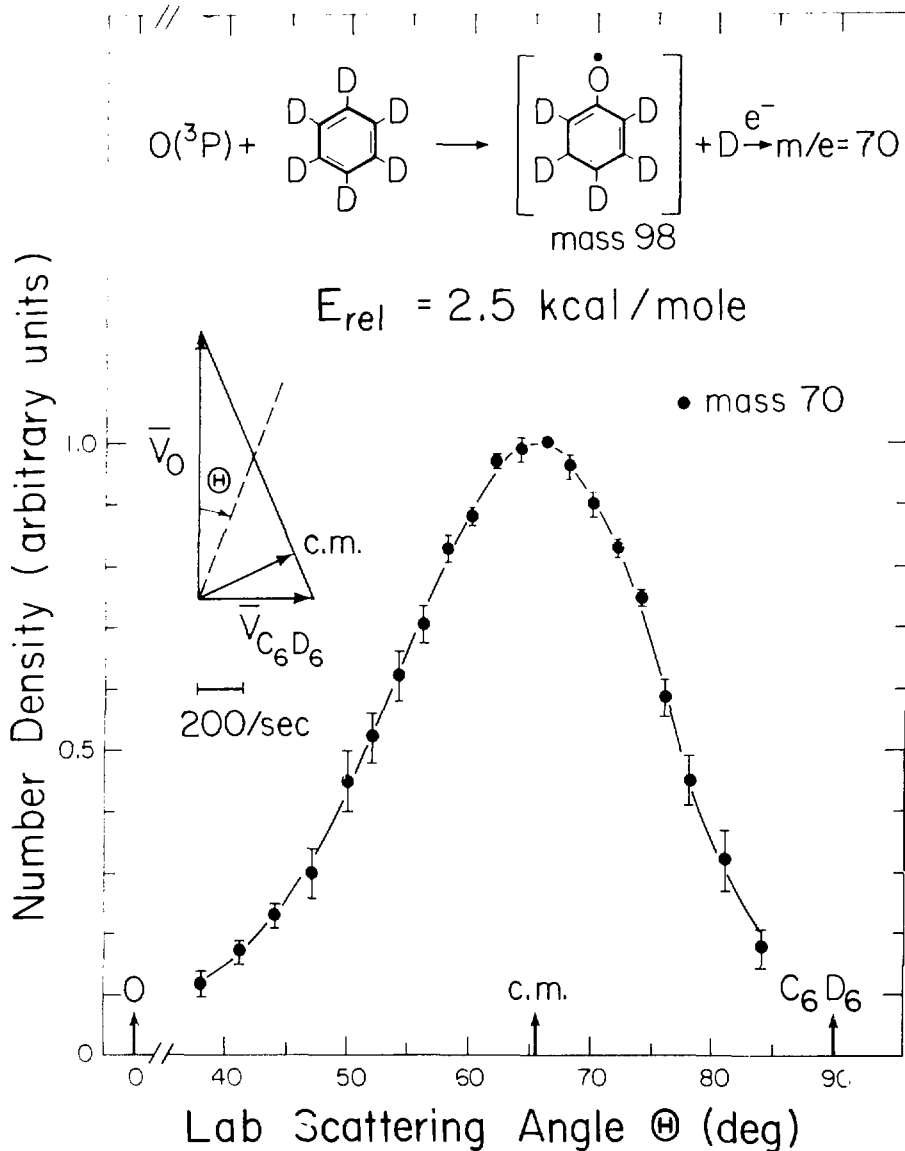


Fig. 4

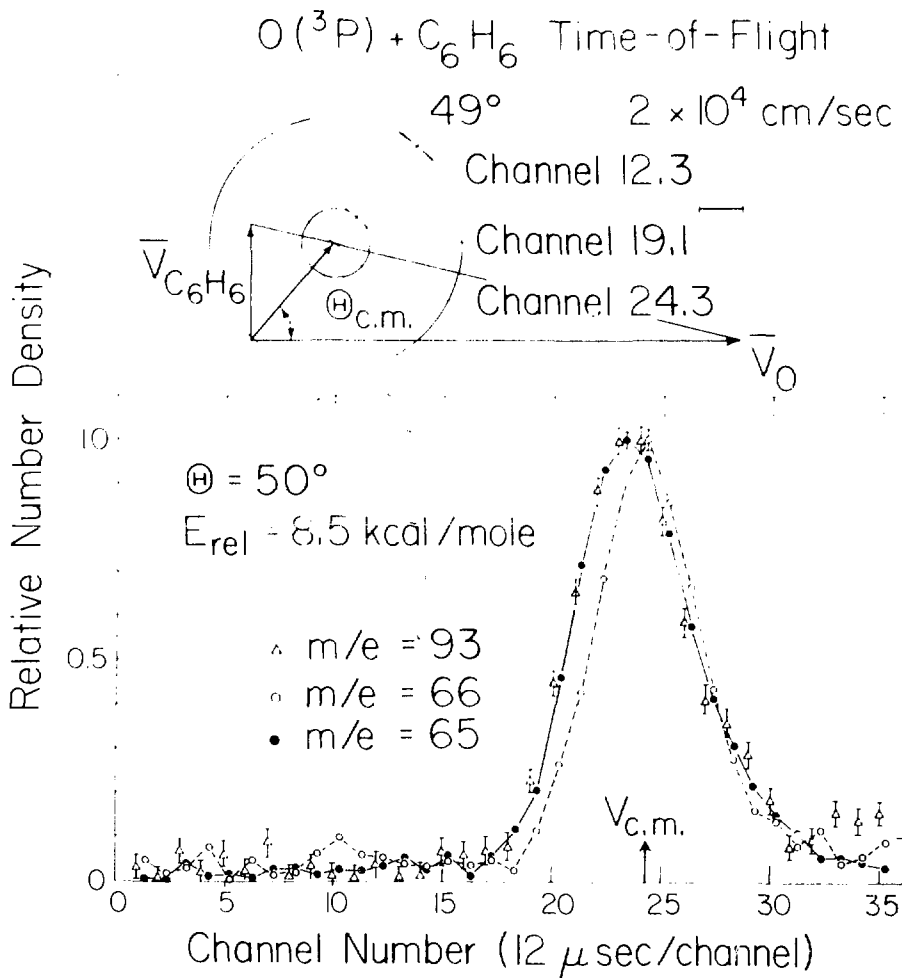
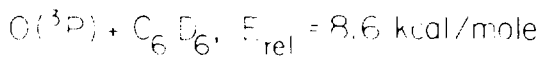


Fig. 5



Time-of-Flight

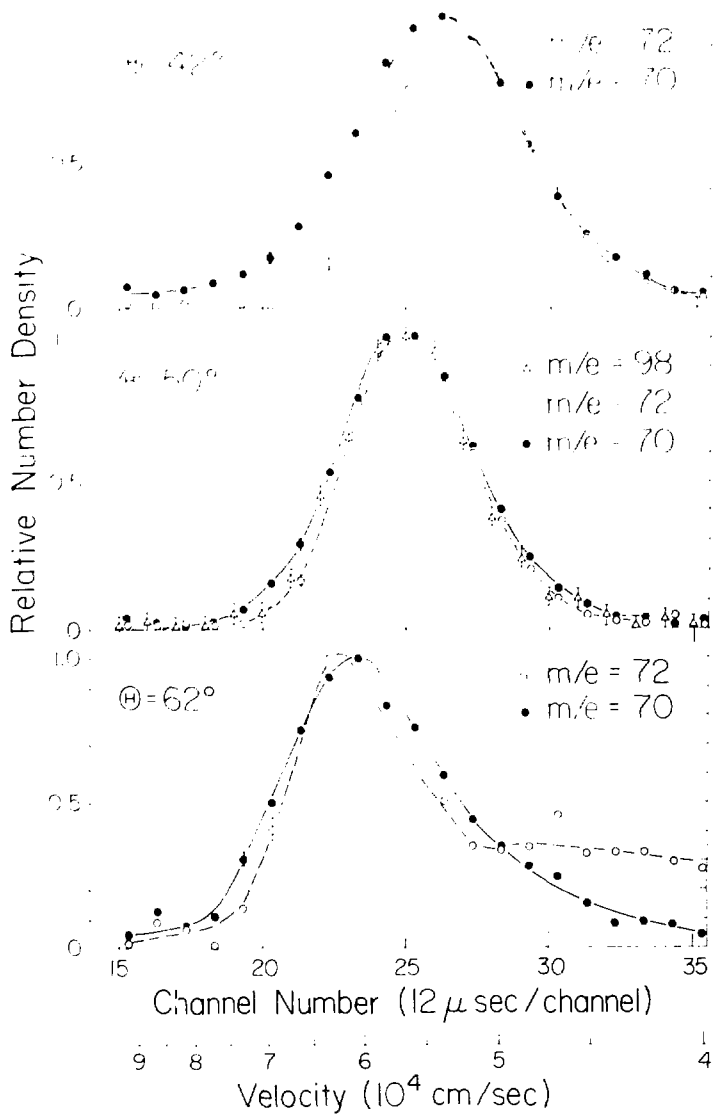
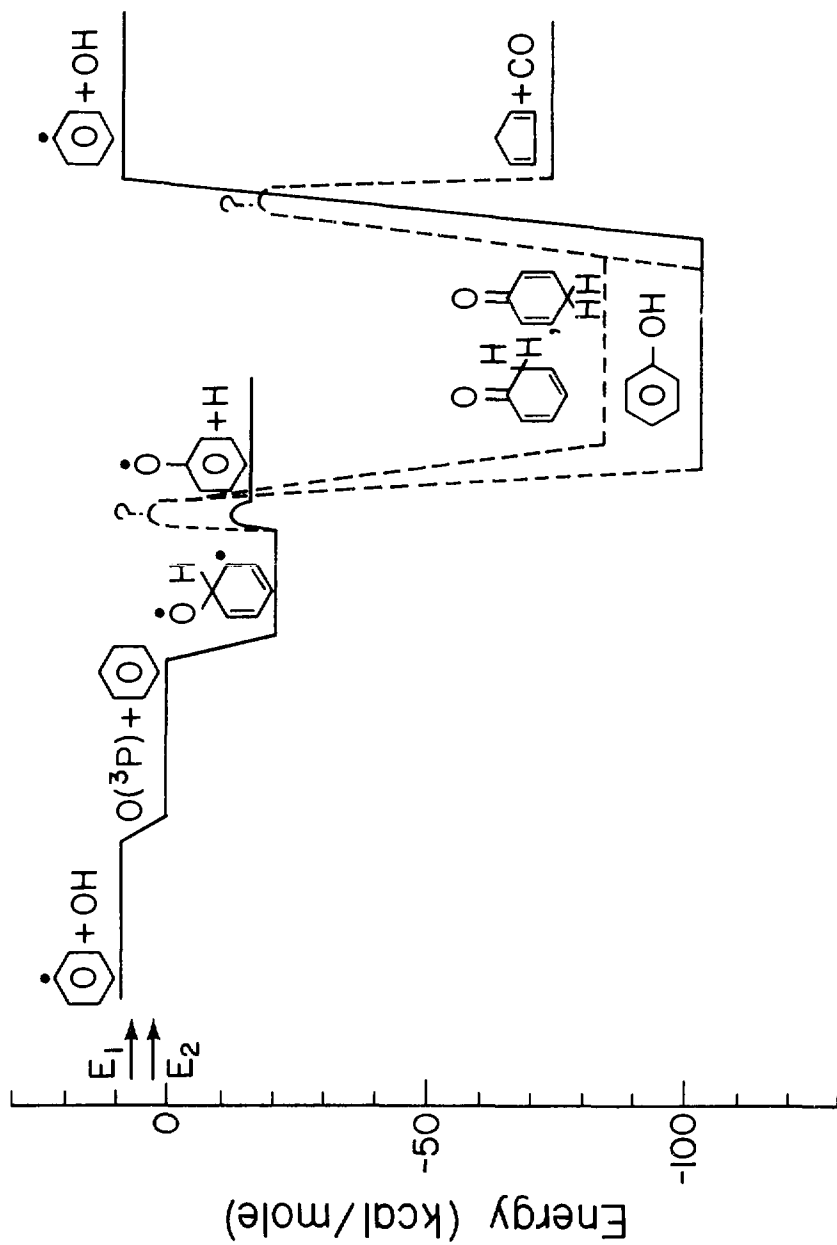


Fig. 6





XBL799-2804

Fig. 7

V. THE INTERNAL AND TRANSLATIONAL ENERGY  
DEPENDENCE OF MOLECULAR  
CONDENSATION COEFFICIENTS

INTRODUCTION

Molecular beam surface scattering experiments are ideally suited for studying many aspects of gas-surface interactions. Scattered particle angular distributions, velocity distributions, and, in principle, internal energy distributions can now be obtained from beam-surface scattering experiments in which the incident beam (or beams for reactive studies) is well defined with respect to its velocity, angular divergence, incident angle, and possibly internal quantum state. The target surface can also be well characterized with its temperature, composition, and when appropriate, crystallographic plane serving as experimentally variable parameters. Perhaps most importantly, these experiments can yield valuable information on the *initial* interaction between the incident particle and the target surface since the actual gas-surface interaction potential is sampled by "single collision" scattering events. Beam-surface scattering experiments therefore hold the promise of providing a very detailed, microscopic picture of gas-surface kinetics, as crossed molecular beam experiments are already providing for gas phase studies.

In our laboratory surface scattering techniques are being used to study the process of gaseous condensation. Valuable information on the detailed dynamics and energetics of this process can be obtained in molecular beam scattering experiments which was previously inaccessible in more conventional studies. In particular, we have set out to understand whether, and to what extent, excitation of a polyatomic molecule's internal degrees of freedom (vibration, rotation) can influence its sticking probability upon collision with a cold surface. This question is of current interest for a variety of reasons. In addition to its obvious importance in understanding gas-surface collisional energy transfer mechanisms, it is also of fundamental significance to future heterogeneous laser isotope separation schemes. Furthermore, it is also desirable to understand how both internal and translational energy influence sticking probabilities as the resulting physisorbed molecules are, in many instances, the precursors to chemically important chemisorbed species. In this study molecular beams are therefore being used to investigate the *microscopic* behavior of physical adsorption and gas-surface energy exchange mechanisms, which should enable us to improve our understanding of the *macroscopic*, and physically important, process of gaseous condensation.

Recently, both theoretical<sup>1-4</sup> and experimental<sup>4-6</sup> investigations of the internal energy dependence of molecular condensation have appeared in the literature. Gochelashvili et al.<sup>1</sup> have suggested that the sticking coefficient,  $c$ , for polyatomic molecules should be expressed as  $c = 1 - \exp(-E_c/E_{tot})$  where  $E_c$  is the critical adsorption energy and  $E_{tot}$  represents the total energy of the incident molecule,  $E_{tot} = E_{trans} + E_{vib} + E_{rot}$ . From this expression they infer that the reflection probability difference between selectively excited molecules and unexcited ones may serve as the basis for heterogeneous laser isotope separation. Their model is obviously a large oversimplification of the energy transfer pathways for this process. Basov et al.<sup>4</sup> have proposed a model which suggests that local heating of the phonons in the immediate region of an adsorption event (due to deposition of  $E_{tot}$ ) may lead to reevaporation of the adsorbed entity. Again, this is an highly improbable description of the condensation process. Karlov and S. Stan<sup>2</sup> have proposed that the enhanced reflection probability of excited molecules must critically depend on the efficiency of  $V \rightarrow T$  energy exchange during the initial collision event. Finally Doll<sup>3</sup> has proposed a simple, phenomenological model to describe internal energy effects

in condensation phenomena which suggests, based upon adiabaticity arguments, that rotational and low-frequency vibrational excitations will have a significant influence on molecular sticking probabilities. All of the above descriptions, in spite of their simplified nature, do predict that internal excitation should inhibit condensation. Experimentally, much controversy still exists over the existence and extent of internal energy effects. The Russian bulk kinetic experiments with  $\text{CO}_2$  and  $\text{CO}$  excited in electrical discharges<sup>4</sup> and with laser excited  $\text{BCl}_3$ <sup>5</sup> suggest that the effects are significant. However, the internal energy effect reported in the laser excited  $\text{BCl}_3$  experiment has not been observed in an attempted reproduction of that experiment.<sup>6</sup>

It has also been suggested, for strongly interacting chemical systems which have an energy barrier in the exit valley of their potential energy surface leading to chemisorption, that excitation of a molecule's vibrational modes should promote its probability of dissociatively chemisorbing upon impact with a catalytic surface. Stewart and Ehrlich<sup>7</sup> have noted in field emission experiments that vibrational excitation of  $\text{CH}_4$  by thermal heating appears to promote its dissociative chemisorption on rhodium. Yates et al.<sup>8</sup> have shown in thermal desorption studies

that laser excitation of the  $\text{CH}_4$   $\nu_3$  and (indirectly)  $2\nu_4$  and  $\nu_4$  modes does not significantly promote its chemisorption on Rh(111). Recently Ehrlich and his coworkers<sup>9</sup> have also shown that excitation of the methane  $\nu_3$  mode to either its first or second excited level does not actively enhance its probability of dissociative chemisorption on evaporated films of rhodium. In another system of chemical interest, Gelb and Cardillo,<sup>10</sup> on the basis of their classical trajectory calculations, have predicted that the probability of  $\text{H}_2$  dissociation upon collision with Cu(100) should increase 40-fold when the  $\text{H}_2$  is placed in its first vibrationally excited level.

In this paper a series of experiments will be described which have directly confirmed the existence of an internal energy dependence of molecular sticking probabilities for collisions of rotationally and vibrationally excited molecules with a cold surface. This internal energy dependence has been explored as a function of incident translational energy for velocity selected, and thermally excited molecular beams of  $\text{CCl}_4$  and  $\text{SF}_6$ . A preliminary report of the  $\text{CCl}_4$  results has been previously reported in the literature.<sup>11</sup> Thermal excitation rather than laser (state-selective) excitation was employed in these studies as the main interest was to establish the

presence, and to gauge the extent, of internal energy effects in the process of gaseous condensation. For relatively large polyatomic molecules, such as  $\text{SF}_6$ , thermal excitation allows us to "excite" virtually all of the incident molecules. Resonant IR laser excitation would only allow perhaps a few tenths of one percent of the incident beam to be excited due to the relatively large partition function of these molecules (i.e., low population in any particular quantum state). The data presented primarily consists of angular distributions, velocity distributions, and intensity measurements of reflected molecules as functions of incident beam velocity, internal energy, and surface temperature. In addition to the internal and translational energy dependence of sticking probability, results on energy accommodation and non-conservation of tangential momentum are also reported for  $\text{SF}_6$  and Kr beams scattering from surfaces composed of their respective condensed (amorphous) ices.

#### EXPERIMENTAL

Our crossed molecular beams apparatus, which is similar in design to one which has been previously described in detail,<sup>12</sup> was extensively modified for this

experiment by replacing one of the beam sources, and its differential pumping region, with a cryogenically cooled target surface assembly. The initial experiments involving  $\text{CCl}_4$  utilized a liquid nitrogen cooled surface which employed gravity fill of the cryogen to ensure effective coolant flow. Surface temperatures as low as ca. 90 K could be easily achieved with this experimental arrangement. Nichrome wire heaters embedded in the copper surface support block permitted operation at temperatures above 90 K. In subsequent studies involving  $\text{SF}_6$  and Kr the above was replaced by a more sophisticated surface assembly which was cooled by a CTI Model-21 closed cycle helium refrigerator. Surface temperatures as low as ca. 10 K could be achieved with this cryostat. Stable operation at temperatures above 10 K was achieved with a Lake Shore Cryogenics temperature controller. The underlying target substrate for both systems was fabricated from polycrystalline copper, which was prepared with a chemical polishing procedure similar to that described by Ahearn et al.<sup>13</sup> 2-mercaptobenzothiazole was used as the nitrogen containing additive in our polishing procedure.<sup>13</sup>

The main scattering chamber was pumped by an unbaffled 5300 l/sec diffusion pump using DC-705 oil, and by a liquid nitrogen cooled cold shield which is very effective in pumping condensable gases. The base pressure of the scattering



chamber was ca.  $1 \times 10^{-7}$  torr during the course of these experiments. The copper "substrate" surface was therefore undoubtedly contaminated with many molecular species before the onset of beam condensation. However, at the surface temperatures used for data collection the sticking probability of the incident beam was always  $\geq 99\%$ , indicating that a relatively "clean" surface, consisting of an amorphous ice of the incident beam gas, was always presented to the incident molecular beam. Without UHV conditions in our main scattering chamber fairly well defined target surfaces were therefore generated *via* constant deposition of a large percentage of the incident beam. The scattered particles analyzed in these experiments were the  $\sim 1\%$  (or less) of the incident flux which did not condense upon impact with the cryogenic surface.

Figure 1 is an assembly diagram which outlines the important experimental components. The effusive, heated, and velocity selected beam source constructed for this experiment permits independent variation of  $T_B$  and  $v_B$ , the beam temperature and beam velocity. This in turn permits the study of gas-surface collisions involving polyatomic molecules having different internal energies (i.e., beam temperatures) but the same translational energies (constant velocity selector frequency). The heated, effusive source

consisted of a 6 mm OD/4 mm ID quartz tube which was wrapped with 0.5 mm diameter tantalum wire at a turn density of 2.75 - 3.15 turns/cm. The wire heater extended from the front tip of the quartz tube to a point ca. 50 cm back from the tip in order to ensure vibrational and rotational equilibration of the quickly flowing gas to the oven temperature. The orifice at the front of the tube was a slot measuring 0.75 mm x 2.80 mm. A 13 mm OD/11 mm ID quartz tube, which was wrapped with 4 turns of 0.0025 cm tantalum foil, was slipped over the inner (wire wrapped) tube to act as both a radiation shield to protect the rest of the source from excessive heating, and to ensure proper heating of the oven by blackbody radiation. A chromel-alumel thermocouple was attached to the inner quartz tube, and one was also embedded between the outer quartz tube and the tantalum radiation shield, in order to monitor oven temperature. The true oven temperature was actually obtained by fitting the effusive velocity distributions produced from the source to Maxwellian distributions as a function of oven power. Plots of thermocouple voltage versus beam temperature were then constructed for the two oven thermocouples, resulting in linear calibration curves. Extreme care was taken to ensure that Maxwellian distributions were in fact generated

during the above oven calibration tests by running the source at very low stagnation pressures. Krypton and oxygen were used for these calibration runs.

The velocity selector was similar to one which has been previously described.<sup>14</sup> Briefly, it consisted of six 0.1 mm thick aluminum disks, with each disk having 160 slots of 0.081 cm width evenly spaced around its circumference. The average radius to the midpoint of the slots was 4.50 cm. The selector had approximately a 20% FWHM  $\Delta v/v$  bandpass function and was found experimentally to have a  $\lambda$  conversion factor<sup>15</sup> of about 201 cm, where  $(\lambda) \times (\text{frequency}) = \text{transmitted velocity}$ . The overall length of the velocity selector was 2.74 cm. Absolute determination of the  $\text{CCl}_4$  and  $\text{SF}_6$  flux distributions transmitted by the velocity selector, as a function of oven temperature and selector frequency, was always carried out with high resolution single-shot time-of-flight (TOF) techniques at a dwell time per channel of 4  $\mu\text{sec}$ . The velocity selector could be operated at frequencies up to ~400 Hz (most probable transmitted velocity  $\sim 8 \times 10^4$  cm/sec) and the source oven temperature could easily be varied between room temperature and ca. 700 K. These  $T_B$  and  $v_B$  ranges permit the internal energy ( $E_i$ ) to translational energy ( $E_t$ ) ratio to varied over a wide range

for polyatomic molecules. For the  $\text{CCl}_4$  experiment the oven temperatures used were 298 K and 560 K, and for  $\text{SF}_6$  these temperatures were 300 K and 608 K. The  $\text{CCl}_4$  beam was run by immersing the  $\text{CCl}_4$  reservoir in an ice-water bath, with the resulting vapor passing through a series of needle valves before entering the beam source. Similarly, after the  $\text{SF}_6$  was passed through a vacuum regulator its flow was throttled down by a series of needle valves. Beam stability in both experiments was found to be excellent after initial oven transients lasting ~30 minutes were allowed to pass. The desirability of building oven sources having relatively low heat capacities, and hence relatively fast stabilization rates, cannot be overstated. The beams produced by this source were collimated by a series of defining elements to a FWHM angular divergence of ca. 2.2 degrees.

The first and second generation surface assemblies (liquid nitrogen and cryostat cooled, respectively) were extensively wrapped with many layers of "super insulation" (6 micron thick aluminized mylar) in order to minimize heat exchange with the surrounding environment. The surface temperature was continuously monitored with two iron-constantan thermocouples which were referenced to ice-water junctions. The vacuum feedthroughs for these

thermocouples consisted of iron and constantan wires in order to avoid generating any stray junction potentials. The first generation assembly was designed so that it could be rotated out of the beam-line in order to permit the detector to look directly into the incident beam. This was believed to be necessary in order to reference the incident intensity, during the course of an experiment, as a function of oven and velocity selector settings. However, subsequent measurements of reflected angular and velocity distributions revealed that beams scattering from room temperature (dirty) copper surfaces always thermally accommodated to  $T_s$ , the surface temperature, as manifested by their cosine angular distributions. The surface was therefore acting as a "beam normalizer" since all incident beams, regardless of their initial velocity distribution, scattered with the same Maxwellian velocity distribution. This permitted us to design a much more precise target assembly, which did not have to rotate out of the scattering plane, when the closed-cycle refrigerator was added. Alignment of the target surface for both setups was done by reflection of a HeNe laser. Final machining of the second generation target support was done after experimentally monitoring the extent of inward deflection of the flange holding the target upon evacuation of the scattering chamber, and then monitoring the extent of shrinkage of the assembly

upon cooldown to ca. 100K. This ensured that the surface would fall precisely at the center of rotation of the detector. For all of the experiments described in this paper the incident beam-surface angle,  $\theta_i$ , was fixed at 50° from the surface normal.

The particle detector used in these studies consisted of a triply-differentially pumped electron bombardment ionizer/quadrupole mass spectrometer.<sup>12</sup> It could rotate about the surface allowing angular distributions and relative number density measurements to be obtained for reflected angles between 30° and 90° with respect to the surface normal. Only in-plane scattering events were detected, with the plane determined by the surface normal and the incident beam. Time-of-flight velocity distributions were obtained by placing a chopping disk in front of the entrance to the detector. Typical chopper to ionizer distances were ca. 18.2 cm. For low signal experiments conducted below the condensation point of the incident beam cross-correlation TOF techniques<sup>15,16</sup> were used, employing a 255-bit, ~50% duty cycle pseudorandom chopping sequence operated at 12  $\mu$ sec/channel dwell time. During the initial TOF data acquisition runs, involving molecules scattered from cryogenically cooled surfaces, a radiation shield constructed from thin copper and super insulation was placed around the TOF chopping disk. This was done as radiative heating of the target surface from the TOF disk might have been

a possible systematic error in our measurements since the thermocouples were placed on the back surface of the copper substrate. However, TOF measurements made without the radiation shield yielded identical results to those obtained with the shield in place, allowing us to operate without the shield in further experiments.

Angular distributions were obtained by modulating the incident beam with a 150 Hz Bulova tuning fork chopper. The actual signal was obtained by subtracting the chopper-closed count from the chopper-open count. Repeated angular scans were taken for all angular distributions in order to achieve good signal-to-noise ratios. Typical counting times and signal rates will be discussed in the next section of this paper. In the  $\text{CCl}_4$  experiment the detected ion was actually  $\text{CCl}_3^+$  while for the  $\text{SF}_6$  experiment it was  $\text{SF}_5^+$ . These daughter ions were of much higher intensity than their respective parent ions.

Finally, this series of condensation experiments was performed at  $\geq 99\%$  sticking probability so that inelastic scattering events could be clearly distinguished from adsorption events followed by subsequent particle reevaporation (trapped trajectories). This is accomplished by noting that the residence times of adsorbed (trapped) molecules are several orders of magnitude larger than the

gating period, 6.67 msec, while the interaction times of inelastically scattered molecules are typically  $10^{-12}$  sec. Thus, by gating the counting electronics at 150 Hz, as shown in Fig. 1, the inelastically scattered molecules can be distinguished from those having very long residence times. In fact, in the extreme case of  $\geq 99.9\%$  sticking probability, virtually all of the particles detected were inelastically scattered as the trapped molecules were effectively "frozen out" in the condensate. This is highly desirable as the scattering events carrying the important dynamical information are the inelastically scattered ones. This experiment therefore overcomes one of the main experimental difficulties associated with studying gas-surface collisions, as was briefly discussed by Zwanzig<sup>17</sup> in his paper on gas-surface collisional energy transfer.

## RESULTS

Angular distributions have been obtained for  $\text{CCl}_4$  and  $\text{SF}_6$  as a function of incident velocity, internal energy, and surface temperature. The scattering behavior for these two molecules was found to be quite similar, as demonstrated below. All scattered angular distributions that were



measured above each molecule's respective condensation temperature were cosine in shape with respect to the surface normal. This, by itself, only indicates that the copper substrate was microscopically rough and contaminated (as it was), and that the incident beam was possibly thermally accommodating to  $T_s$ , the surface temperature. The upper portion of Fig. 2 shows one of the first experimental angular distributions obtained for  $\text{CCl}_4$  scattering from a room temperature (dirty) copper surface. The small deviations from the solid cosine ( $\theta$ ) curve can be attributed in this case to slight misalignment of the surface. Subsequent angular distributions obtained for  $\text{CCl}_4$ ,  $\text{SF}_6$ , and several rare gases could be well fit with the cosine ( $\theta$ ) function. In order to resolve the question of possible thermal accommodation to  $T_s$  scattered particle TOF distributions were recorded for several gases as a function of incident translational energy. The three curves shown in Fig. 3, for incident  $\text{SF}_6$  mean velocities of approximately  $2.0 \times 10^4$  cm/sec,  $3.5 \times 10^4$  cm/sec, and  $5.0 \times 10^4$  cm/sec, conclusively demonstrate that thermal accommodation to  $T_s$  is in fact essentially complete. The proof for this is that the three scattered particle velocity distributions, in spite of their different incident distributions, were superimposable with each other, and could be fit with a

calculated 500 K Maxwellian flux distribution (dashed lines in Fig. 2). The deviations at low velocities are an artifact of the experimental TOF measurement, with the low velocity cut-off due to the finite width of the TOF chopper disk. TOF measurements for  $\text{CCl}_4$ ,  $\text{SF}_6$ , and Kr revealed that thermal accommodation to the surface temperature continued with decreasing  $T_s$  until each molecule's condensation temperature was reached. This was very fortunate as it allowed us to monitor incident beam flux, as a function of velocity selector setting and oven temperature, by simply making relative reflected number density measurements as a function of these parameters at  $T_s > T_c$ , the condensation temperature for each molecule. (Since all reflected velocity distributions were identical, the relative number density measurements taken with our detector were exactly equivalent to relative flux determinations.) This alleviated the need to continually remove the target surface from the beam-line during the course of the experiment, as was described in the preceding section of this paper.

When the surface temperature was dropped below the  $\text{CCl}_4$  condensation temperature,  $T_c(\text{CCl}_4) \approx 142\text{K}$ , to  $T_s = 117\text{K}$  a very interesting angular distribution was recorded, which is shown in the lower portion of Fig. 2. This distribution appears to be a "hybrid", consisting of some molecules which scattered with a cosine ( $\theta$ ) dependence, and

others which scattered in a specular-like manner. As  $T_s = 117\text{K}$  corresponds to a  $\text{CCl}_4$  sticking probability of about 90% (as determined from the counting rate at the specular angle) this view seems plausible. This indicated that still lower surface temperatures would be needed to study inelastic scattering events as the large contribution from trapped molecules (those which had been adsorbed, thermally accommodated, and subsequently reevaporated) still dominated the detected signal.

The angular distributions taken far below the  $\text{CCl}_4$  condensation temperature exhibited a marked difference in shape from those discussed above. Figure 4 shows the angular distributions taken with  $T_s = 90\text{K}$  and  $T_B$  (oven temperature) =  $298\text{K}$ , while Fig. 5 shows those obtained with  $T_B = 560\text{K}$ , for several different incident velocities. For  $\text{CCl}_4$ ,  $T_s = 90\text{K}$  corresponds to a sticking probability of  $\geq 99.5\%$ , as determined from the counting rate recorded at the specular angle. These distributions have no visible remnant of accommodated (cosine) scattering, and appear to peak  $15^\circ$  superspecularly from the specular angle of  $50^\circ$ . Typically, counting rates for the distributions shown in Figs. 4 and 5 were 10 counts/sec, taken with a  $m/e = 117$  background of 125 counts/sec. The lack of peak scattering angle variation found in these figures, as a function of

incident velocity, may imply that the  $\text{CCl}_4$  molecules experience constant relative momentum loss collisions with the surface. Future TOF studies will allow this interesting feature of the data to be studied more closely.

If we assume, as in a hard cube model,<sup>18</sup> that the tangential momentum of the  $\text{CCl}_4$  is conserved during the collision, then we can arrive at *lower bound estimates* of the energy accommodation coefficients,  $\alpha_E$ , from the angular distributions shown in Figs. 4 and 5. These estimates can be easily calculated by noting the deviation of the angular distribution peaks from the specular angle. The energy accommodation coefficient is defined as

$$\alpha_E = \frac{E_i - E_r}{E_i - E_s} \quad (1)$$

where  $E_i$  is the incident beam translational energy,  $E_r$  is the reflected beam translational energy, and  $E_s$  is the mean translational energy of a molecule at  $T_s$ . Within this simple framework  $\alpha_E$  for  $\text{CCl}_4$  is found to be  $\sim 0.37$  for  $v_i = 2.5 \times 10^4$  cm/sec and  $\sim 0.30$  for  $v_i = 5.0 \times 10^4$  cm/sec. These values correspond to a 45% relative momentum loss in the momentum component perpendicular to the surface, and a 0% loss in the momentum component tangential to the surface. Again, these  $\alpha_E$  values are only crude lower bound

estimates, as tangential momentum loss almost certainly occurs during the scattering of heavy polyatomic molecules. The TOF data for SF<sub>6</sub> presented later in this section bears out this point. However, the overall skewing of the CCl<sub>4</sub> angular distribution with respect to the specular angle,  $\theta_s = 50^\circ$ , does indicate that momentum accommodation occurs to a greater extent in the direction perpendicular to the surface than tangential to it.

Figure 6 shows the SF<sub>6</sub> angular distributions that were obtained at T<sub>s</sub> = 50K for three different incident velocities. Typical counting rates at v<sub>i</sub> = 3 x 10<sup>4</sup> cm/sec were 25 counts/sec, with a m/e = 127 background rate of 230 count/sec. Signal rates were substantially higher for faster incident velocities. This surface temperature corresponds to  $\geq 99.5\%$  sticking probability for SF<sub>6</sub> at those velocities. Once again, the angular distributions do not vary very strongly with either incident velocity or beam temperature. The lack of variation with beam temperature (internal energy) may indicate a weak coupling of internal to translational energy. However, due to the relatively large mass of SF<sub>6</sub> only slight angular shifts would be expected.

Using cross-correlation TOF techniques the question of SF<sub>6</sub> energy accommodation was explored in much greater detail than during the CCl<sub>4</sub> experiment. The data shown

in Fig. 7 represents a series of  $SF_6$  reflected velocity distributions, taken at the specular angle, as a function of surface temperature. The dashed lines in each section of the figure represent the calculated  $SF_6$  Maxwellian flux distributions at each surface temperature. The experimental TOF distributions can be fit extremely well with the Maxwellian distributions for  $T_s = 280K, 100K,$  and  $80K$  indicating complete  $SF_6$  thermal accommodation to  $T_s$ . The low velocity deviations, as discussed earlier, are an artifact of the measurement. However, as the surface temperature was further lowered from  $80K$  to  $70K, 50K,$  and ultimately  $20K$  the experimental velocity distributions became faster than the Maxwellian distributions. This clearly demonstrates that we are in fact analyzing inelastic events, rather than trapped and reevaporated ones, for very low  $T_s$  values. Note also that the onset of condensation for  $SF_6$  was found to occur at  $T_c \approx 79K,$  in good agreement with the data shown in this figure.

Important information about momentum exchange and energy accommodation can be obtained from the TOF distributions shown in Fig. 7. Table I summarizes the data taken at the specular angle for  $SF_6$  with  $T_B = 300K.$

Table I

SF<sub>6</sub> Energy Accommodation

T <sub>s</sub> (K)	$\alpha_E$	$\langle E_r \rangle / \langle E_i \rangle$	$\langle E_r \rangle / \langle E_s \rangle$
76	0.82	0.29	2.21
50	0.77	0.30	3.18
20	0.77	0.25	6.79

The energy accommodation coefficients shown in this table indicate that an extreme loss of energy is occurring upon impact with the surface. Analysis of the final velocity components tangential and perpendicular to the surface conclusively demonstrates that *tangential momentum is not conserved* for collisions between SF<sub>6</sub> and an amorphous ice surface of SF<sub>6</sub>. The energy exchange diagram shown in Fig. 8 clarifies this point. In this figure  $\tilde{v}_r$ ,  $\theta_r$ ,  $\tilde{v}_i$ , and  $\theta_i$  are all determined experimentally. Therefore, by measuring the reflected velocity distribution at a given angle an unambiguous analysis of momentum exchange can be carried out. The  $\alpha_E$  values listed in Table I can only be explained by assuming tangential and perpendicular momentum loss, as indicated by the solid triangle whose sides are  $\tilde{v}_r$ ,  $\tilde{v}_{tr}$ , and  $\tilde{v}_{\perp r}$  in Fig. 8. The apparent weak dependence of  $\alpha_E$

on  $T_s$  at low surface temperatures (i.e., in the limit of preferentially removing all thermally accommodated  $SF_6$ ) indicates that impulsive collisions are dominating the scattering.

Similar data was obtained for Kr scattering from krypton ice as a function of  $T_s$ . This is shown in Fig. 9 and briefly summarized in Table II.

Table II  
Krypton Energy Accommodation

$T_s$ (K)	$\alpha_E$	$\langle E_r \rangle / \langle E_i \rangle$	$\langle E_r \rangle / \langle E_s \rangle$
40K	0.99	0.14	1.09
25K	0.77	0.29	3.75
20K	0.79	0.26	4.11

Once again the reflected velocity distributions have much higher average velocities than thermally accommodated ones for surface temperatures lower than the beam condensation temperature ( $T_c(Kr) < 40K$ ). Analysis of the reflected velocity distributions also indicate that tangential momentum is not conserved. The slight deviation of the 40K experimental TOF distribution from the theoretical



curve on its high velocity side may be real, and can possibly be explained by microscopic reversibility arguments. Very briefly, one might expect evaporating particles to be slightly deficient in high velocity events since the condensation probability of fast incident particles is less than that for slowly incident ones.

Finally, and most importantly, we have conducted an extensive investigation of how translational and internal energy influence the sticking probability of  $\text{CCl}_4$  and  $\text{SF}_6$  for collisions involving these molecules and their respective condensed phases. In Fig. 10 the relative reflection probability for  $\text{CCl}_4$ , as a function of incident velocity, is shown for two different oven temperatures (internal energies),  $T_B = 298\text{K}$  and  $T_B = 560\text{K}$ . These curves were generated by measuring the relative amount of flux reflected, as a function of velocity selector setting, for  $T_S = 90\text{K}$ . More specifically, the experimental data points were obtained by normalizing the reflected number density detected at a given angle, as a function of oven temperature and velocity selector setting, to the incident beam flux for the same values of  $v_i$  and  $T_B$ . Two clear trends can be seen from the data shown here. First, reflection probability has a very strong dependence on incident translational energy, with the probability of reflection increasing

dramatically with increasing incident velocity. Second, the relative reflection probability curves for two different internal energies differ at low incident velocities, and asymptotically merge with each other in the limit of high incident velocity. This is the first indication that the internal energy (i.e., the energy stored in rotation and vibration) of a polyatomic molecule can influence its sticking probability,  $c$ , where  $RP$  (reflection probability) =  $1-c$ .

The above results, obtained as a function of velocity selector frequency, needed to be deconvoluted with respect to the bandpass function of the selector since the transmitted velocity distributions were fairly wide, having a FWHM  $\Delta v/v$  of about 20%. This was accomplished using an iterative, ratio method deconvolution procedure. Following the basic form of Siska's iterative deconvolution procedure<sup>19</sup> we have:

$$f_0(v) = h(v) \quad (2)$$

$$f_{n+1}(v) = f_n(v) [h(v)/g^*f_n] \quad (3)$$

where, in our case,  $h(v)$  is the experimental (folded) reflection probability for a given velocity selector

setting,  $g(v,v')$  is the experimentally determined velocity selector transmission function, and  $f_n(v)$  is the  $n^{\text{th}}$  deconvoluted (unfolded) approximation to  $h(v)$ . The actual convolution integral,  $g^*f$ , was defined as:

$$\begin{aligned} g^*f_{n+1} &= \int_{v_i}^{v_f} dv' g(v,v') f_n(v') \\ &\approx \sum_{i=1}^n g(v,v') f_n(v') \end{aligned} \quad (4)$$

where  $v_i$  and  $v_f$  are the initial and final velocities transmitted by the selector at a given frequency. The actual  $g(v,v')$  distributions were obtained with high resolution single-shot TOF operating at 4  $\mu\text{sec}/\text{channel}$  dwell time. The convolution integral was calculated with trapezoidal rule numerical integration. Each successive  $h(v)$  was generated by least squares fitting a fourth-order polynomial to  $f_n(v)$ , where  $f_n(v) = RP_n(v)$ . After a few iterations, typically 3-5 cycles, the deconvolution procedure converged, and was tested by refolding  $f_{n,\text{final}}(v)$  with  $g(v,v')$ :

$$g^*f_{n,\text{final}} = \int_{v_i}^{v_f} dv' g(v,v') f(v') \approx h(v) \quad (5)$$

For most velocity ranges it was found that the refolded distribution,  $g^*f_{n,final}$ , virtually reproduced the experimental data, indicating a successful deconvolution. However, for relatively fast velocities ( $v \geq 4.5 \times 10^4$  cm/sec) the deconvolution routine experienced difficulties since a very strong function of velocity,  $RP(v)$ , was being folded with a fairly broad bandpass function. The dashed lines shown in Fig. 10 represent the results of this  $RP(v)$  deconvolution for  $CCl_4$ .

The internal energy dependence of condensation probability can be expressed in a quantitative manner by plotting the ratio of the reflection probability curves, for different oven temperatures, as a function of incident velocity. We have explicitly calculated the *reflection enhancement factor*, EF, which is actually the *ratio* of relative reflected fluxes for molecules having the same translational velocity,  $v_i$ , and different internal energies:

$$EF(T_s = 90K, v_i) = \frac{\text{(Fraction of flux reflected; } T_B = 560K)}{\text{(Fraction of flux reflected; } T_B = 298K)} \quad (6)$$

$$= \frac{\left( \frac{n_r^{90} v_r^{90}}{\text{Incident flux } (T_B; v_i)} \right) \Big|_{T_B = 560K}}{\left( \frac{n_r^{90} v_r^{90}}{\text{Incident flux } (T_B; v_i)} \right) \Big|_{T_B = 298K}}$$

where  $n_r^{90}$  and  $v_r^{90}$  are the reflected number densities and velocities at  $T_s = 90\text{K}$  for each beam temperature. Figure 11 shows the EF values determined for  $\text{CCl}_4$ , which were obtained from Fig. 10 using equation (6). The solid line in Fig. 11 corresponds to the reflection enhancement factor that was calculated with the experimental  $\text{RP}(v)$  curves, while the dashed line corresponds to the deconvoluted result. The EF curves shown in this figure conclusively demonstrate that internal excitation of a molecule's rotational and vibrational degrees of freedom leads to an increase in its reflection probability (decrease in sticking probability) in the limit of low incident velocity.  $\text{EF} \approx 4$  implies that internally excited  $\text{CCl}_4$  molecules with  $\langle v_i \rangle \approx 2.7 \times 10^4$  cm/sec are four times more likely to scatter from the  $\text{CCl}_4$  ice surface than vibrationally and rotationally "cool" ones. Furthermore, the EF curves shown in this figure indicate that in the limit of high incident velocities EF goes asymptotically to unity, indicating that internal excitation has little influence upon condensation probability for high energy particles. This will be discussed in detail in the next section of this paper. Note that the actual  $v_r^{90}$  values which appear in equation (6) were not experimentally determined here, and that the EF values shown in Fig. 11 were calculated

assuming equal reflected velocities for scattered molecules which had the same incident velocities but differing internal energies. In reality, the scattered molecules which were initially internally excited may scatter with slightly larger reflected velocities. The EF values of Fig. 11 may therefore be viewed as lower bound estimates for enhanced scattering due to internal excitation.

Figures 12 and 13 show respectively the reflection probability curves and reflection enhancement factors for  $\text{SF}_6$  with oven temperatures of 300K and 608K, as a function of incident velocity. The solid lines once again correspond to the experimental distributions while the dashed lines are the deconvoluted results. The qualitative shapes of these curves are quite similar to those found for  $\text{CCl}_4$ , indicating that internal excitation can inhibit condensation in the limit of low incident translational energy. The velocity range explored in these experiments could not be extended to include velocities lower than about  $2.5 \times 10^4$  cm/sec or higher than  $5.5 \times 10^4$  cm/sec due to the extremely low signal level of the  $T_B \sim 300\text{K}$  data in these velocity regimes. The RP(v) and EF(v) curves shown in Figs. 10-13 are the main results of this series of beam-surface scattering experiments.

Extreme care was taken to guarantee that these reflection probability distributions were not an artifact

of some systematic experimental error. The reflection probability was monitored in a series of tests as a function of beam intensity, and was found to linearly track the beam intensity. This indicated that impurities on the surface (from background gas in the scattering chamber) were not significantly affecting the results. More importantly, the actual transmitted velocity distributions for the hot and room temperature source settings were not always superimposable for the same velocity selector frequency. This occurred since the bandpass function of the selector was folded with the shape of the flux distribution effusing from the quartz slot. At high velocities the long tail of the high temperature flux distributions skewed the transmitted velocity distributions to higher velocities. Figures 14 and 15 show the actual incident  $\text{CCl}_4$  and  $\text{SF}_6$  velocity distributions, as a function of velocity selector frequency, for both room temperature and elevated source temperatures. These curves were obtained by taking TOF measurements with the detector looking directly into the transmitted beam. The low frequency distributions for hot and room temperature beams virtually superimpose for both  $\text{CCl}_4$  and  $\text{SF}_6$ , while at higher frequencies the hot distributions are noticeably skewed to higher velocities. The virtual overlap of the

low frequency distributions for different source temperatures is quite fortunate as the low velocity data points in Figs. 10-13 are the most crucial ones for supporting the presence of internal energy effects. Nevertheless, the experimental EF curves shown in Figs. 11 and 13 have been corrected for these shifts, and the successful deconvolution of the data with respect to the actual incident velocity distributions exactly corrected for the problem.

## DISCUSSION

The results shown in the preceding section clearly indicate that the internal energy of a polyatomic molecule becomes increasingly more important in determining its sticking probability as its translational energy is decreased. This can be understood in terms of the energy loss which must occur in the direction perpendicular to the surface for condensation to occur. A simple energy level schematic for gas-surface scattering is shown in Fig. 16. The potential energy well in this figure represents the gas-surface interaction potential,  $E_1$  and  $E_2$  represent low and high energy incident trajectories referenced to the dissociation limit of the gas-surface



potential, and  $\Delta E$ , as drawn, indicates the total energy loss which ultimately occurs for the  $L_1$  trajectory if it becomes trapped and subsequently accommodated to  $T_g$ , for low  $T_g$  values. In this simplified picture of the condensation process the extent of *initial* energy loss in the direction normal to the surface determines whether a particle becomes trapped, and subsequently accommodated to  $T_g$ , or whether it will inelastically scatter from the surface. For trapping to occur the low and high energy trajectories must lose at least  $L_1$  and  $L_2$ , respectively, upon initial impact with the repulsive wall of the gas-surface interaction potential. Energy losses less than these critical amounts will lead to "direct inelastic" scattering events which have a strong memory of their initial state. As the translational energy of an incident molecule is increased we therefore see that increasingly more energy must be lost in the initial collision for condensation to occur. The steadily decreasing probability that this threshold energy loss will occur for increasing incident translational energy gives rise to the RP(v) curves shown in Figs. 10 and 12 for  $\text{CCl}_4$  and  $\text{SF}_6$ . In the limit of *high* incident translational energy we would therefore expect that coupling of internal energy (rotation, vibration) to translation upon impact with the repulsive wall of the gas-surface potential (i.e., V,R  $\rightarrow$  T collisional

energy transfer) would have very little influence on the condensation probability for the molecule. Conversely, this overview of the condensation process seems to indicate that any collisional V,R · T energy exchange for *slowly* incident molecules would lead to a significant decrease in that molecule's sticking probability, as is experimentally found, and shown in Figs. 11 and 13.

Since gaseous condensation is essentially a problem of translational accommodation, it is interesting to compare the relative effectiveness of internal and translational energy for inhibiting sticking. Using the vibrational quantum partition function for an ideal polyatomic molecule, the mean vibrational energy difference between  $\text{CCl}_4$  at 298K and 560K is found to be ca. 3.7 kcal/mole, while the rotational energy change between these two temperatures is well approximated by  $3/2 kAT$ , or ca. 0.8 kcal/mole. In going from  $2.7 \times 10^4$  cm/sec to  $5.0 \times 10^4$  cm/sec the  $\text{CCl}_4$  translational energy increases from about 1.3 to 4.5 kcal/mole. Over this velocity range the deconvoluted  $T_B = 300\text{K}$ ,  $RP(v)$  curve for  $\text{CCl}_4$  increased by a factor of about 15, while the largest EF found was only about 4. Therefore translational energy appears to be more "efficient" per unit of energy than internal energy in inhibiting condensation. This comparison is

not totally fair as all of the internal modes certainly do not collisionally couple to translation upon impact. However, the trend outlined above is probably representative of the behavior exhibited by relatively large polyatomic molecules. Similar calculations for  $\text{SF}_6$  lead to the same qualitative result as above. The increase in vibrational energy for  $\text{SF}_6$  in going from  $T_B = 390\text{K}$  to  $608\text{K}$  is found to be about 8.3 kcal/mole, while the gain in rotational energy is 0.9 kcal/mole. Similarly, its translational energy increases from 1.3 to 4.4 kcal/mole upon increasing its mean incident velocity from  $2.7 \times 10^4$  to  $5.0 \times 10^4$  cm/sec. The  $\text{SF}_6$   $T_B = 500\text{K}$ ,  $\text{RP}(\gamma)$  curve increased by a factor of  $\sim 10$  over this translational energy range, while EF for the most favorable case was only about 4.6.

Finally, it must be emphasized that the internal energy reflection enhancement factor should probably be treated theoretically with a dynamic, collisional energy transfer description akin to gas phase inelastic scattering models. Adsorption-reevaporation models, such as those proposed by several Russian groups at the Lebedev Institute,<sup>1,4</sup> are totally inadequate for describing the results found in this experiment.

## CONCLUSION

Molecular beam surface scattering experiments have been carried out which have shown that the internal energy of a molecule can significantly influence its sticking probability upon collision with an amorphous ice of its own condensed phase. This internal energy effect is greatest for molecules having relatively low incident translational energies. For  $\text{Cl}_4$  and  $\text{SF}_6$  the largest reflection enhancement factors found, as defined in this paper, were respectively 3.7 and 4.6. Reflected particle velocity analysis carried out with cross-correlation time-of-flight techniques has revealed that a very large degree of translational energy accommodation is occurring for inelastically scattered  $\text{SF}_6$  molecules, with thermal accommodation coefficients,  $\alpha_E$ , as large as 0.77 being achieved. The weak surface temperature dependence of  $\alpha_E$  found for Kr and  $\text{SF}_6$  in the limit of low surface temperature implies that impulsive collisions are dominating the observed scattering events. Tangential momentum is not conserved in these collisions. Finally, these studies were conducted in the limit of very high sticking probability ( $\geq 99\%$ ) so that the trapped (accommodated) molecules would be essentially frozen out upon impact with the surface, leaving only the "direct

inelastic" scattering events contributing to the detected signal. This condition is highly advantageous as the directly scattered molecules contain the important dynamic and energy exchange information sought after in this experiment.

REFERENCES

1. K. S. Gochelashvili, N. V. Karlov, A. N. Orlov, R. P. Petrov, Yu. N. Petrov, and A. M. Prokhorov, Zh. Eksp. Teor. Fiz. Pis. Red. 21, 640 (1975) [JETP Lett. 21, 302 (1975)].
2. N. V. Karlov and K. V. Shaĭtan, Zh. Eksp. Teor. Fiz. 71, 464 (1976) [Sov. Phys. JETP 44, 244 (1976)].
3. J. D. Doll, J. Chem. Phys. 66, 5709 (1977).
4. N. F. Basov, E. M. Belenov, V. A. Isakov, Yu. S. Leonov, E. P. Markin, A. N. Oraevskii, V. I. Romanenko, and N. B. Ferapontov, Zh. Eksp. Teor. Fiz. Pis. Red. 22, 221 (1975) [JETP Lett. 22, 102 (1975)].
5. K. S. Gochelashvili, N. V. Karlov, A. I. Ovchenkov, A. N. Orlov, R. P. Petrov, Yu. N. Petrov, and A. M. Prokhorov, Zh. Eksp. Teor. Fiz. 70, 531 (1976) [Sov. Phys. JETP 43, 274 (1976)].
6. G. K. Anderson and J. T. Lee, Opt. Lett. 3, 10 (1978).
7. C. N. Stewart and G. Ehrlich, J. Chem. Phys. 62, 4672 (1975).
8. J. T. Yates, Jr., J. J. Zinck, S. Sheard, and W. H. Weinberg, J. Chem. Phys. 70, 2266 (1979).
9. S. G. Brass, D. A. Reed, and G. Ehrlich, J. Chem. Phys. 70, 5244 (1979).
10. A. Gelb and M. J. Cardillo, Surf. Sci. 64, 197 (1977).

11. S. J. Sibener and Y. T. Lee, Proceedings of the XIth International Symposium on Rarefield Gas Dynamics, Cannes, France, 1978, in press.
12. Y. T. Lee, J. D. McDonald, P. R. LeBreton and D. R. Herschbach, Rev. Sci. Instrum. 40, 1402 (1969).
13. J. S. Ahearn, Jr., J. P. Monaghan, Jr., and J. W. Mitchell, Rev. Sci. Instrum. 41, 1853 (1970).
14. T. P. Schafer, Ph.D. dissertation, the University of Chicago, Chicago, Illinois, 1972.
15. K. Sköld, Nucl. Instrum. Meth. 63, 114 (1968).
16. V. L. Hirschy and J. P. Aldridge, Rev. Sci. Instrum. 42, 381 (1971).
17. R. W. Zwanzig, J. Chem. Phys. 32, 1173 (1960).
18. R. M. Logan and R. E. Stickney, J. Chem. Phys. 44, 195 (1966).
19. P. E. Siska, J. Chem. Phys. 59, 6052 (1973).

FIGURE CAPTIONS

- Fig. 1. Assembly diagram of the experimental scattering apparatus. In later experiments a closed-cycle helium refrigerator replaced the liquid nitrogen cooling of the target substrate.
- Fig. 2. Upper section:  $T_s = 280\text{K}$   $\text{CCl}_4$  experimental angular distribution. The solid line is a plot of the cosine ( $\theta$ ) function. Lower section: Angular distribution obtained at a sticking probability of ca. 90%. This curve exhibits characteristics belonging to both peaked and cosine scattering. The arrows indicate the specular angle in each of these figures.
- Fig. 3. Reflected velocity distributions for  $\text{SF}_6$  scattering from a room temperature (dirty) surface. The dashed lines represent Maxwellian flux distributions for 324K. This figure confirms thermal accommodation for incident molecules. The three velocity selector frequencies correspond to mean incident translational velocities of about  $2.0 \times 10^4$ ,  $3.5 \times 10^4$ , and  $5.0 \times 10^4$  cm/sec.
- Fig. 4. Angular distributions obtained for two translational velocities with  $T_B = 298\text{K}$ . This data was taken at a sticking probability of  $\geq 99.5\%$ .



- Fig. 5. Angular distributions for internally excited  $\text{CCl}_4$  taken at a sticking probability of  $\geq 99.5\%$ .
- Fig. 6. Angular distributions for three different incident  $\text{SF}_6$  velocities with  $T_B = 300\text{K}$  and  $608\text{K}$ . These distributions were obtained in the limit of very low  $T_S$ , at a sticking probability of  $\geq 99.5\%$
- Fig. 7. Reflected  $\text{SF}_6$  velocity distributions as a function of decreasing surface temperature. The dashed lines in each section of the figure are the calculated Maxwellian flux distributions for each  $T_S$  value. The onset of  $\text{SF}_6$  condensation occurs at  $\sim 79\text{K}$ .
- Fig. 8. Schematic velocity diagram for gas-surface scattering events.  $\hat{v}_{\text{tr}}^{\text{cube}}$  represents the tangential velocity vector within the "hard-cube" approximation.
- Fig. 9. Reflected krypton velocity distributions as a function of surface temperature, taken at the specular angle. The dashed lines in each section of the figure are the calculated Maxwellian flux distributions for each  $T_S$  value.
- Fig. 10.  $\text{CCl}_4$  reflection probability as a function of incident velocity for  $T_B = 298\text{K}$  and  $560\text{K}$ . The dashed lines are the deconvoluted reflection probability curves for which the finite bandpass function of the velocity selector has been taken into account.

Fig. 11. Internal energy reflection enhancement factor curve for  $\text{CCl}_4$  as a function of incident velocity.  $\text{EF} = 4$  implies that internally hot (560K)  $\text{CCl}_4$  molecules have a four times higher probability of being reflected from a cold (90K) surface than do room temperature molecules. The dashed line is the deconvoluted EF curve for which the finite bandpass function of the velocity selector has been taken into account.

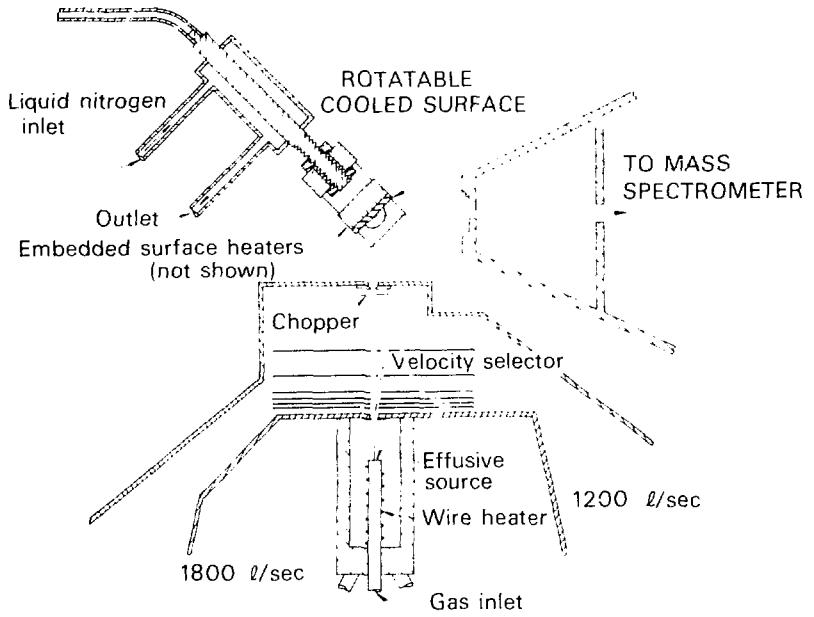
Fig. 12.  $\text{SF}_6$  reflection probability as a function of incident velocity for  $T_B = 300\text{K}$  and  $608\text{K}$ . The dashed lines are the deconvoluted reflection probability curves for which the finite bandpass function of the velocity selector has been taken into account.

Fig. 13. Internal energy reflection enhancement factor curve for  $\text{SF}_6$  as a function of incident velocity. The dashed line is the deconvoluted EF curve for which the finite bandpass function of the velocity selector has been taken into account. The dotted line is an extrapolation of the deconvoluted EF curve to  $v_i = 5.5 \times 10^4$  cm/sec.

Fig. 14. Experimentally determined  $\text{CCl}_4$  incident flux distributions, as a function of velocity selector frequency, for  $T_B = 298\text{K}$  and  $560\text{K}$ .

Fig. 15. Experimentally determined  $\text{SF}_6$  incident flux distributions, as a function of velocity selector frequency, for  $T_B = 300\text{K}$  and  $608\text{K}$ .

Fig. 16. Schematic energy diagram of a gas-surface interaction potential.



XBL 7712-10907

Fig. 1

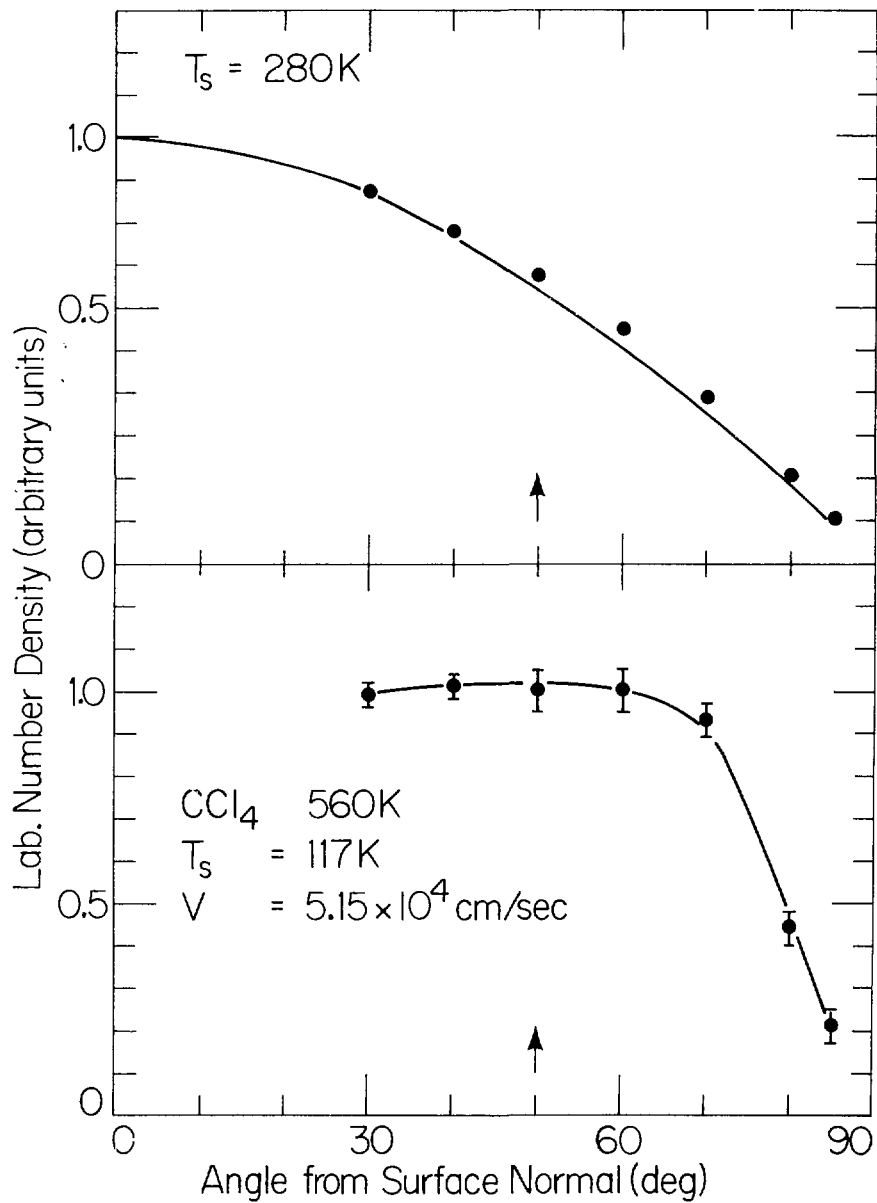


Fig. 2

XBL799-2817

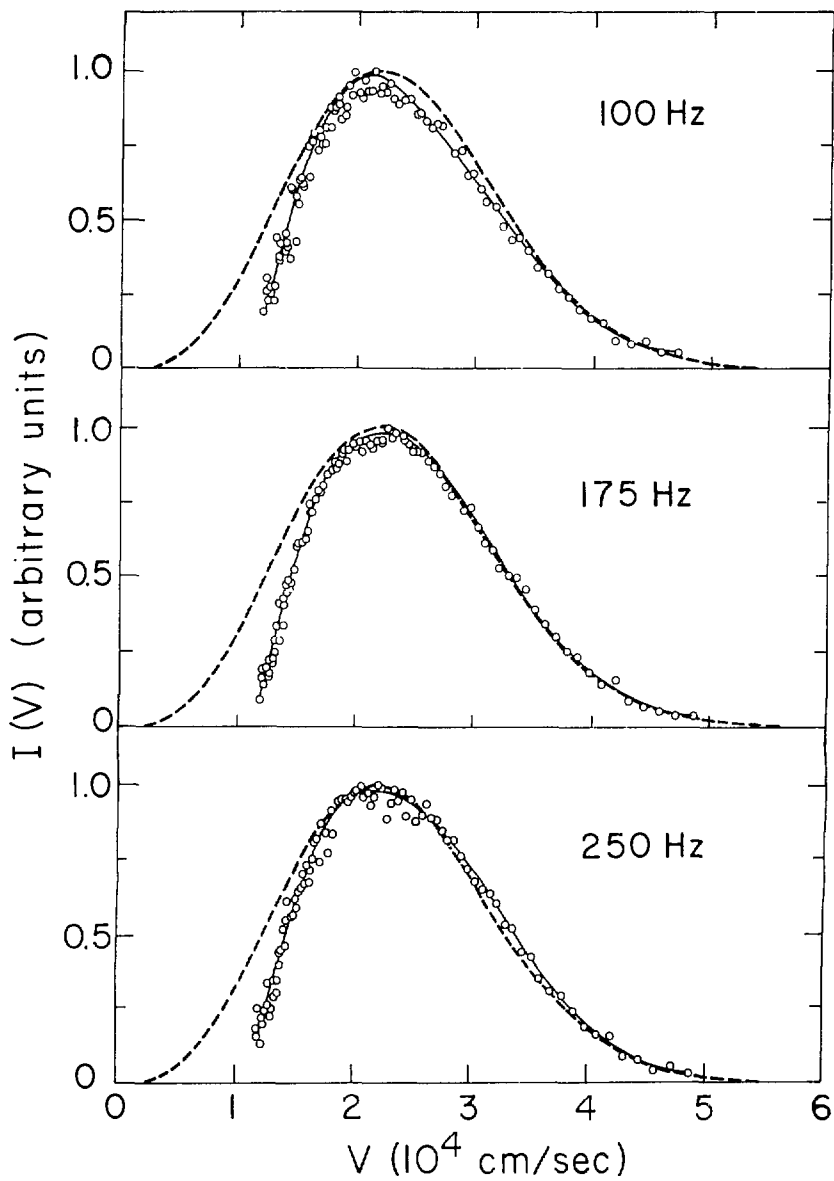


Fig. 3

XBL 7810-6003

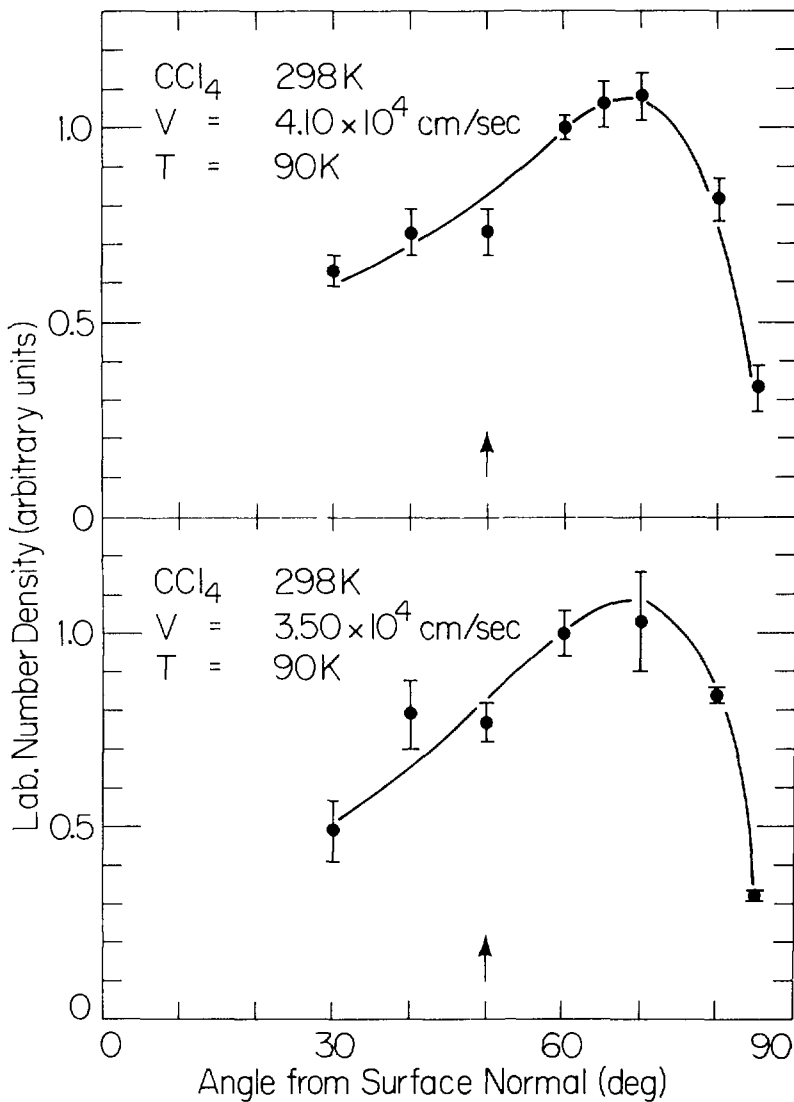


Fig. 4

XBL 799-2815

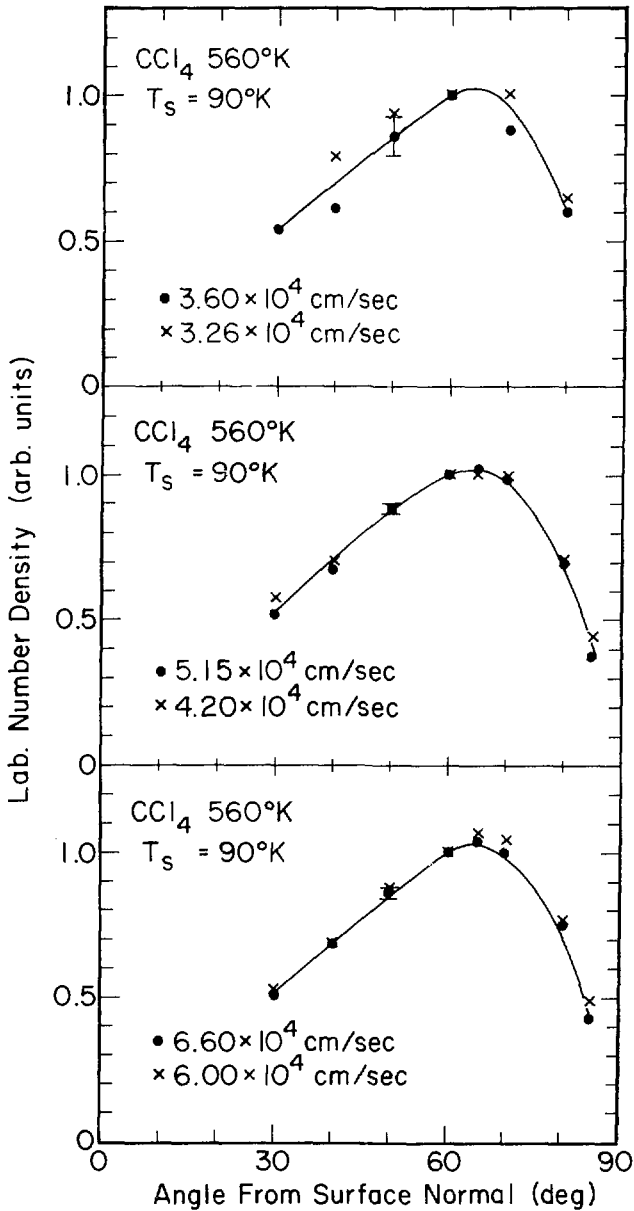


Fig. 5

XBL 7711-10905



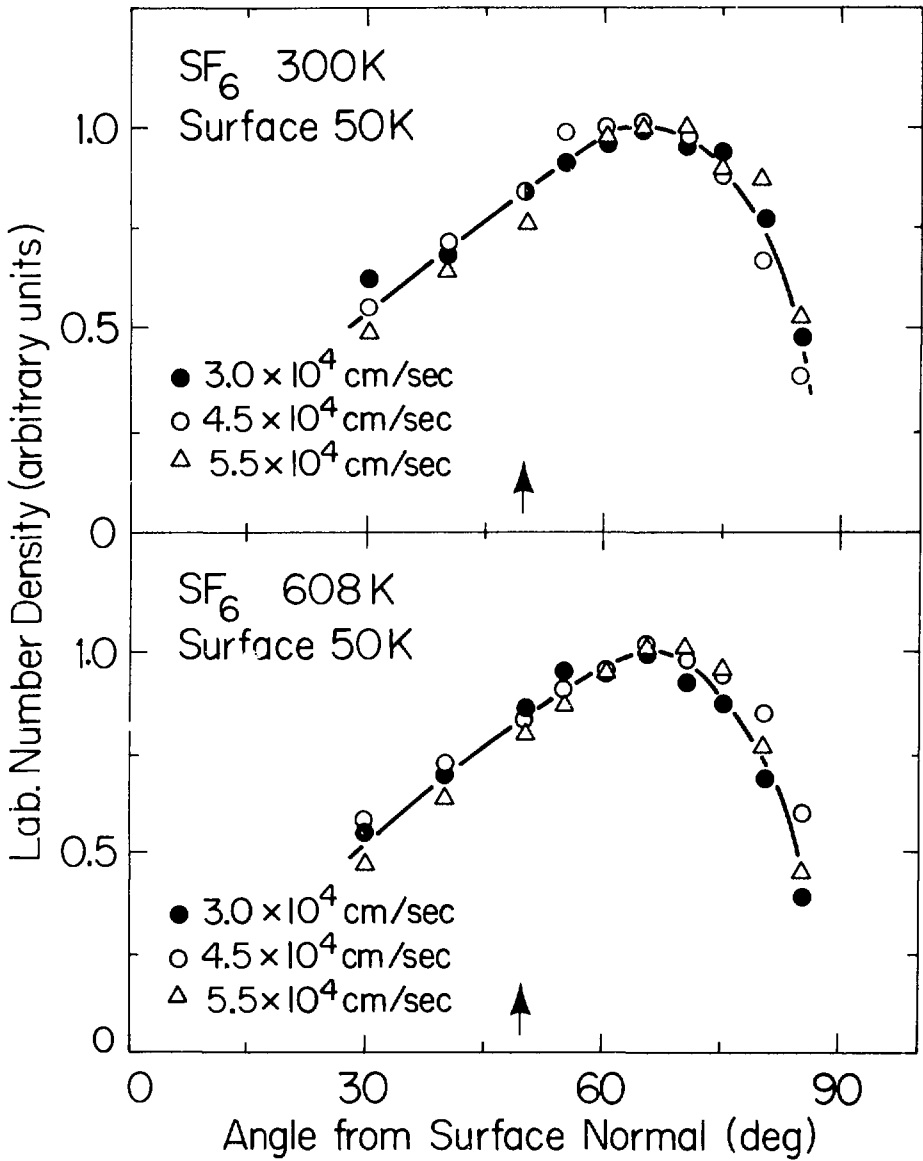
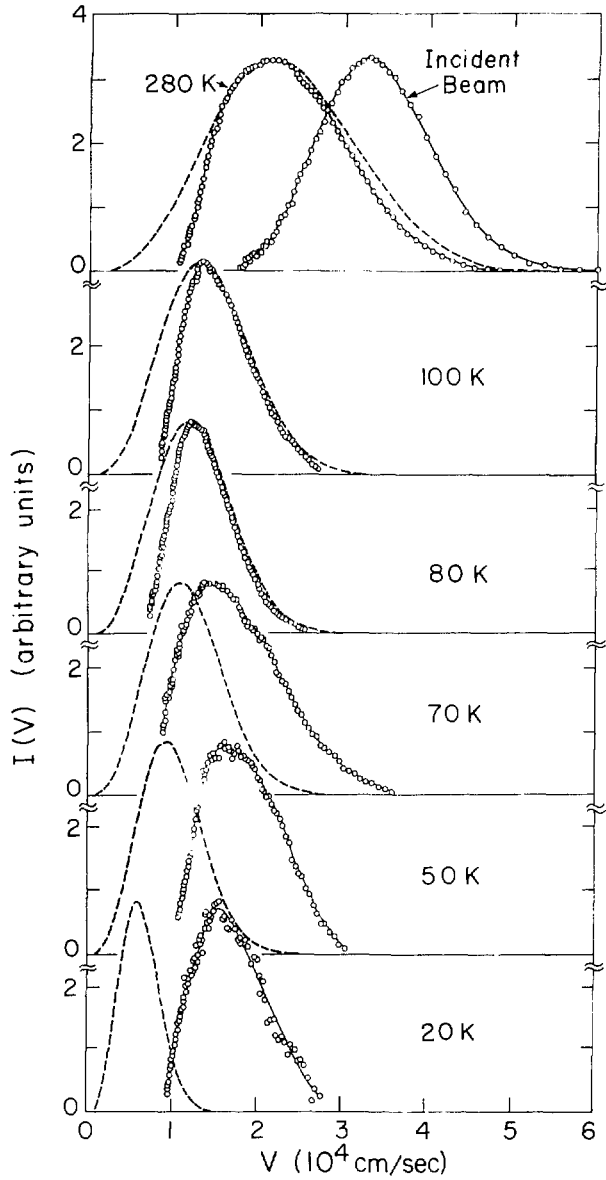


Fig. 6

XBL 799-2816

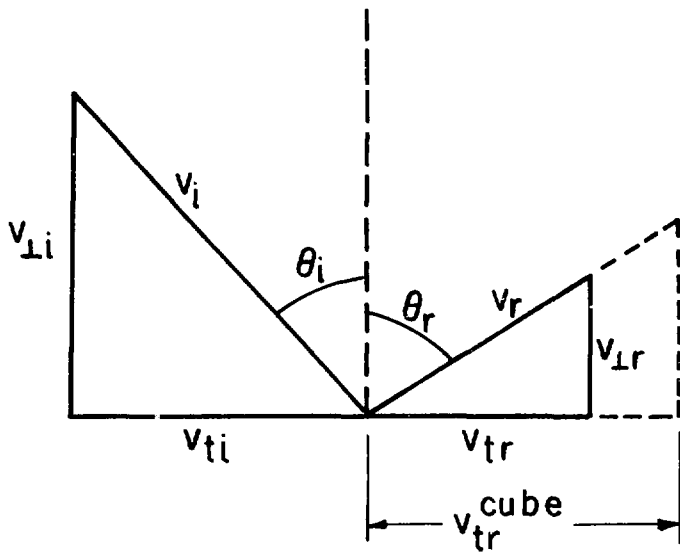


XBL 7810-5945

Fig. 7

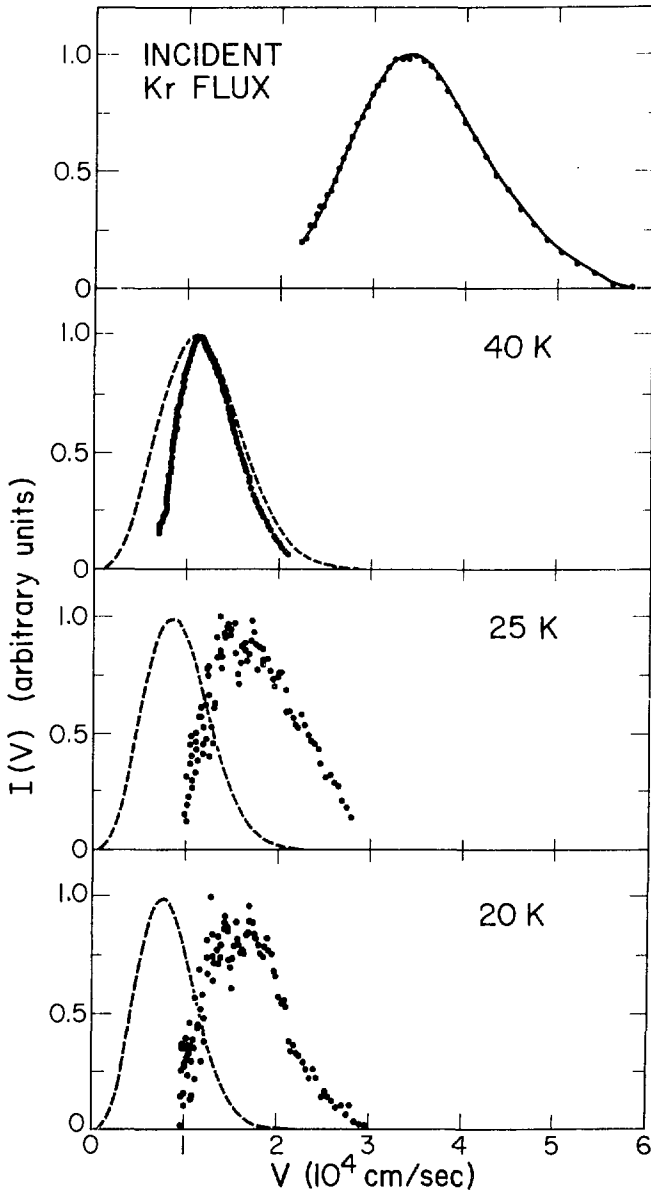
# ENERGY ACCOMMODATION

$$\alpha_E \equiv \frac{E_i - E_r}{E_i - E_s}$$



XBL 78 10-6015

Fig. 8



XBL 7810-11636

Fig. 9

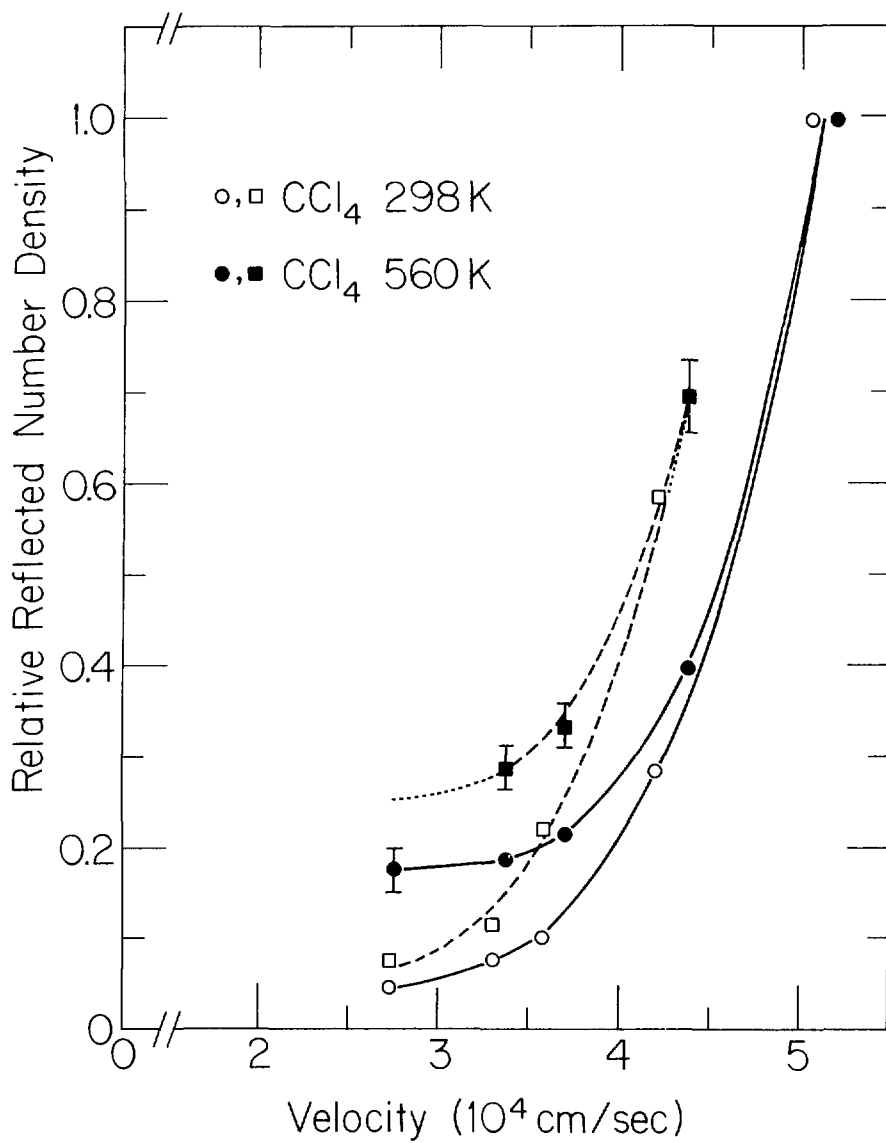


Fig. 10

XBL 799-2806

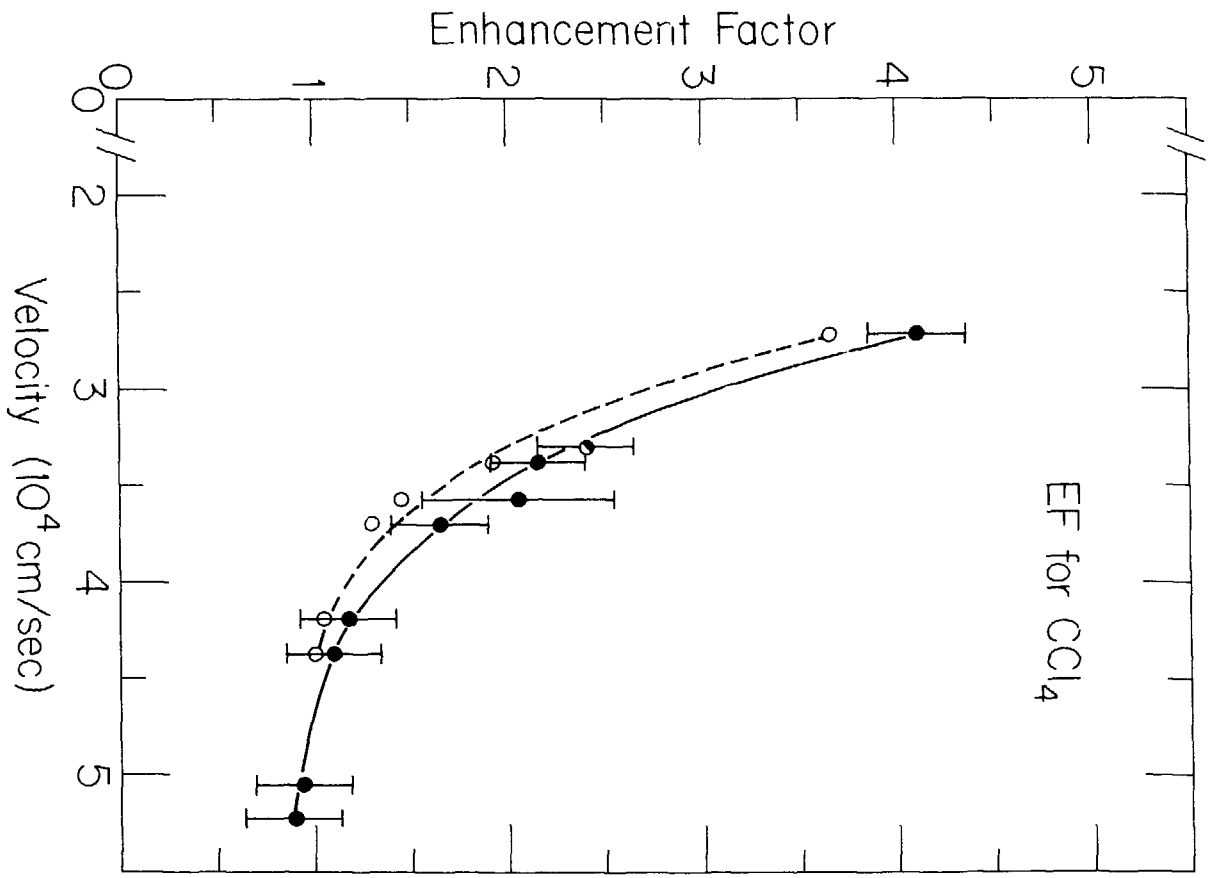


FIG. 11

XBL 799-2805

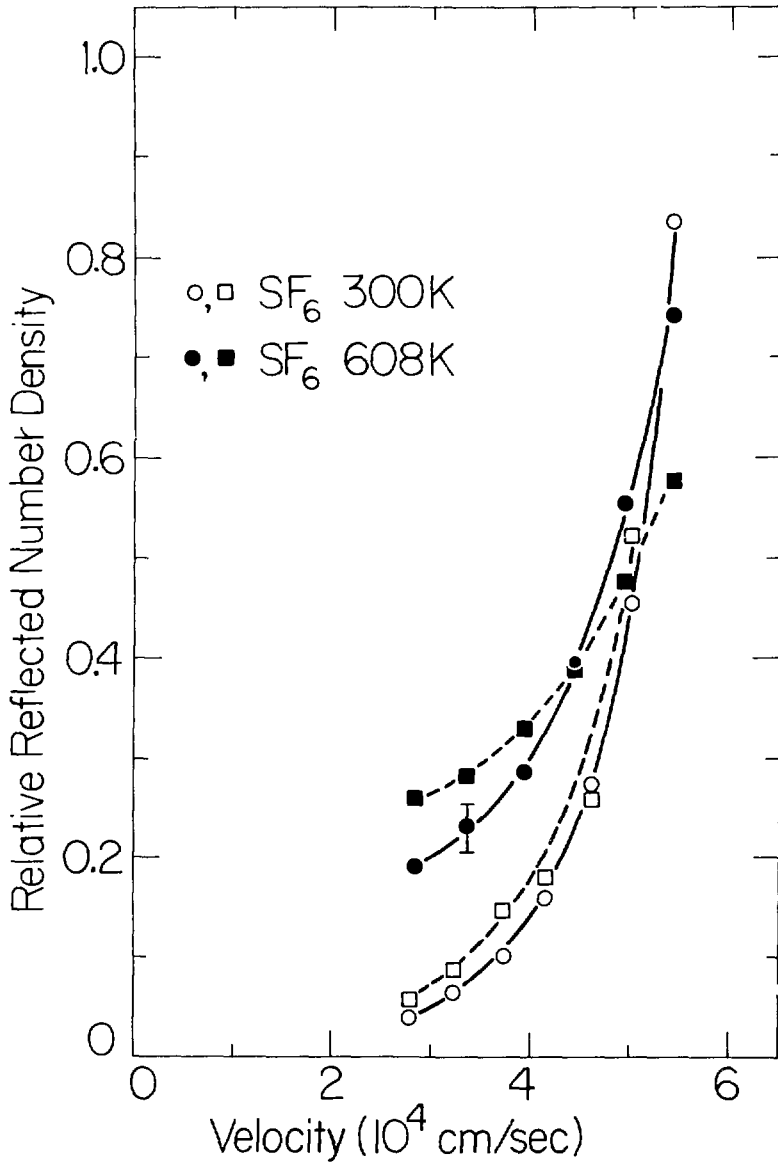


Fig. 12

XBL799-2818

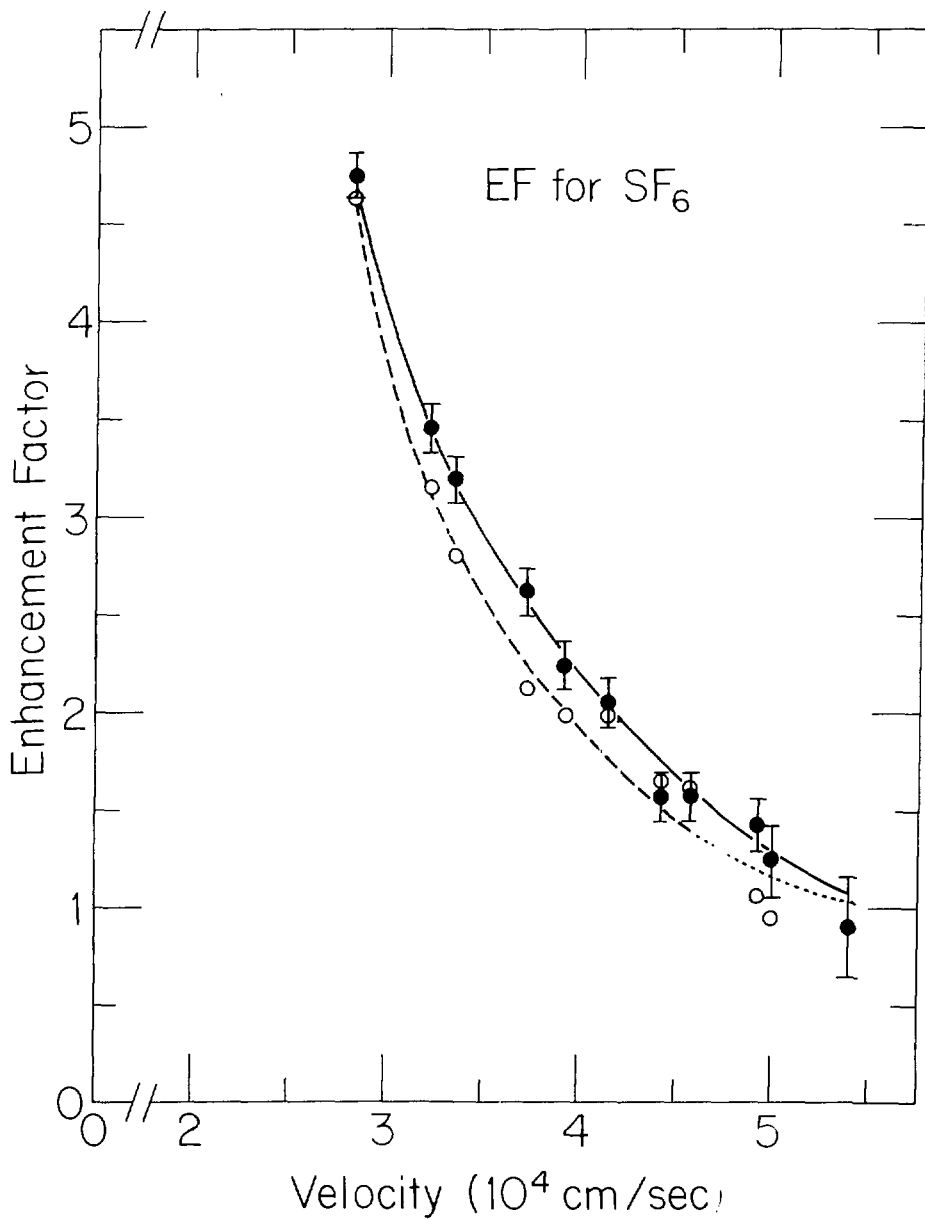


Fig. 13

XBL799-2807



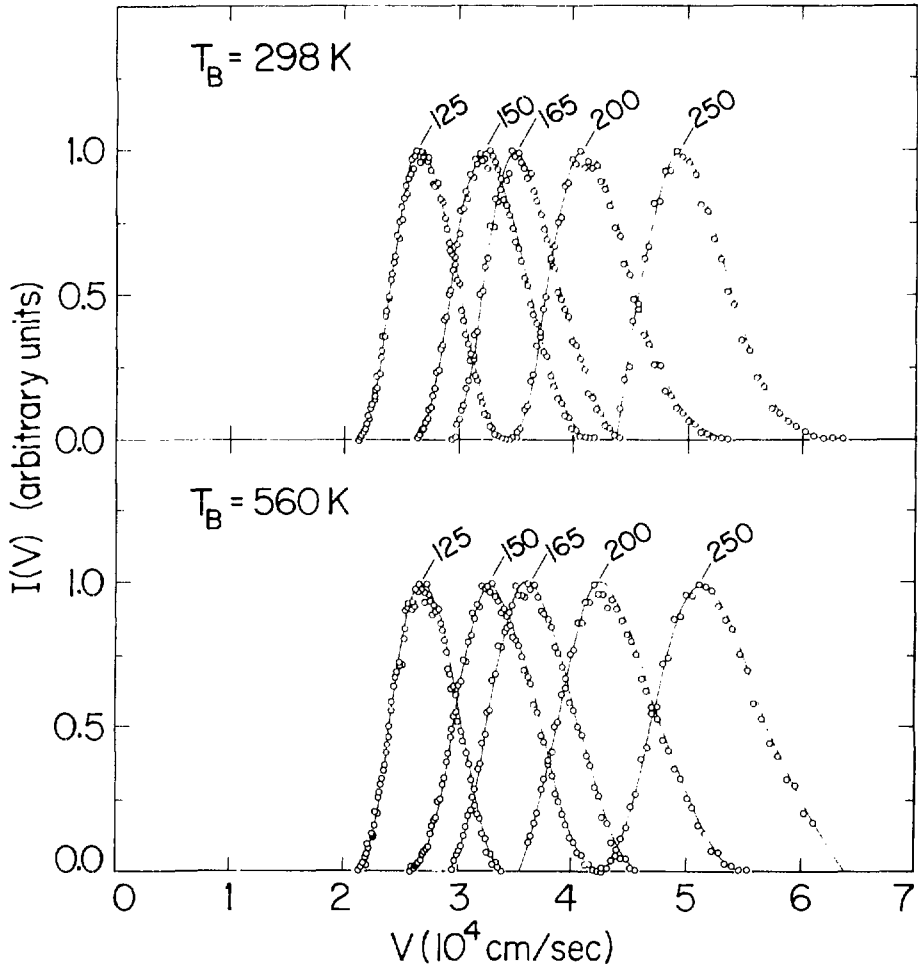


Fig. 14

XBL 799-2813

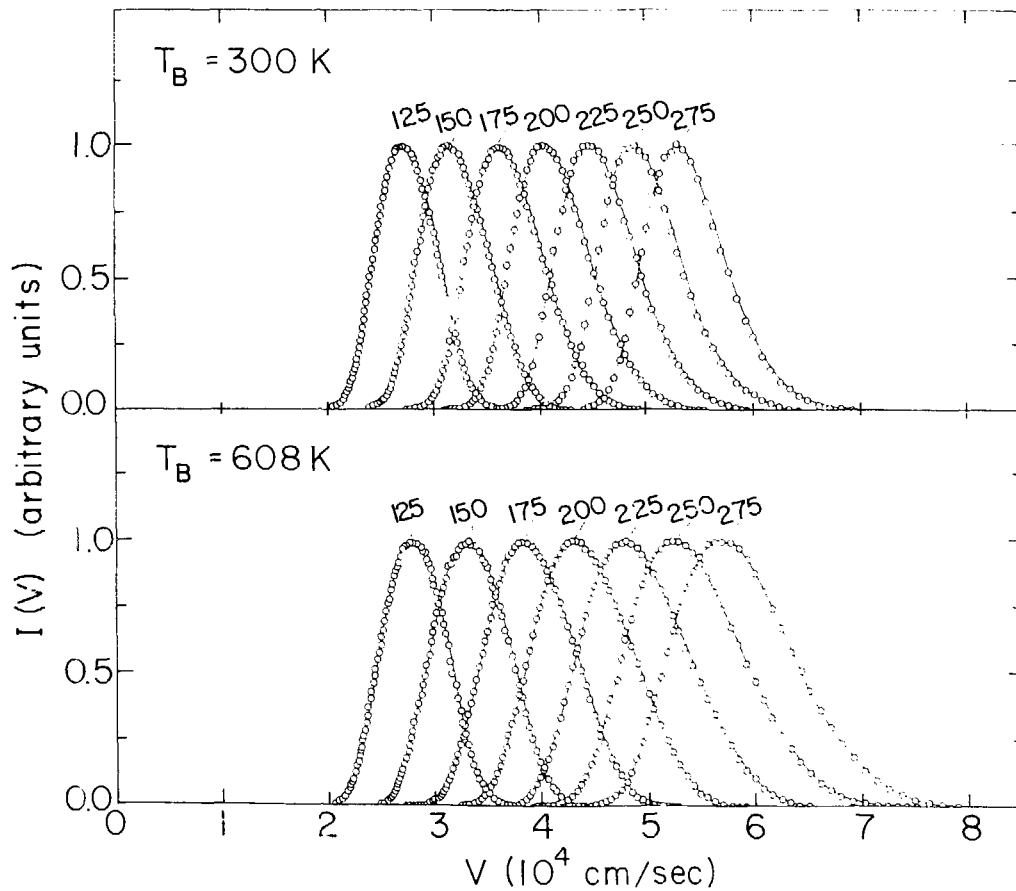
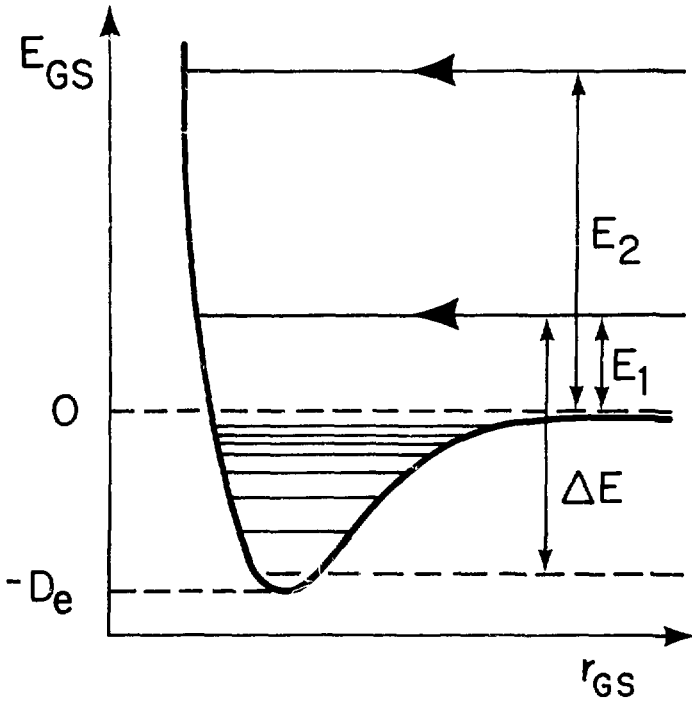


Fig. 15

XBL 7810-5940



XBL799-2814

Fig. 16