**TECHNICAL MEMORANDUM** ANL-CT-81-34

İ.

Distribution Category: Light Water Reactor Technology (UC-78)

ARGONNE NATIONAL LABORATORY 9700 South Cass Avenue Argonne, Illinois 60439

# A THREE-DIMENSIONAL SIMULATION OF DIVERSION CROSS-FLOW BETWEEN TWO PARALLEL CHANNELS CONNECTED BY A NARROW LATERAL SLOT USING THE COMMIX-1A COMPUTER PROGRAM

by

H. P. Fohs\*

Northwestern University Evanston, Illinois

and

R. W. Lyczkowski and W. T. Sha

Components Technology Division

**-DISCLAIMER** nas.<br>Taler

October 1981

\*Participant in the Summer 1981 Student Research Participation Program, which is coordinated by the Division of Educational Programs, ANL.

# Table of Contents

 $\ddot{\phantom{a}}$ 

 $\hat{\mathbf{r}}$ 



#### **ABSTRACT:**

**This report demonstrates the predictive capabilities of the C0MMIX-1A computer program by simulating a fundamental experiment which determined diversion cross-flow and pressure drops between and along two parallel square channels connected by a narrow lateral slot. C0MMIX-1A predicted correct trends and fairly accurate flow quantities with minimum empirical input.**

### **INTRODUCTION AND BACKGROUND;**

**The purpose of this project is to verify and demonstrate the predictive capabilities of the C0MMIX-1A computer program. This is accomplished by comparing the experimental results of Tapucu and Merilo's experiments [1,2] with results from the computer simulation of their experiment.**

**The Tapucu and Merilo experiments measured the diversion cross-flow between two parallel square channels connected by a long, narrow lateral slot. The pressure drop across the slot is correlated to the cross-flow velocity by a dimensionless friction coefficient, K. The experiment is performed at several different inlet velocities and slot dimensions. The results show the variation of this friction coefficient with geometry and velocity ratios. Figure 1 shows the geometric configuration of the experimental apparatus.**

**C0MMIX-1A was developed to analyze three-dimensional, transient, single-phase, thermal-hydraulic flow in reactor components. The governing equations for conservation of mass, momentum, and energy are solved as a boundary-value problem in space and as an initial-value problem in time. The numerical**

 $\mathbf{1}$ 

**solution technique solves the governing equations using a staggered mesh finite differenced formulation. Three-dimensional Cartesian geometry was used for the geometric configuration shown in Fig. I. In the staggered mesh system, all the fluid properties, except velocity, are evaluated at the cell center. The velocity components are evaluated at the cell edges [3].**

**The major trade-off in this flow simulation is the accuracy of the flow quantities versus the quantity of computational cells. The accuracy of the flow simulation increases with the number of cells, but the cost of making the simulation run also increases.**

#### **PROCEDURE:**

**The geometry of the experimental apparatus is input into the computer program by specifying the maximum number of cells in each direction, the cell length associated with each of the three directional indices, and the cells having boundary surfaces. The first computer simulation run, TAPCO1, was limited to a total number of 1200 cells. This limitation led to a coarse computational mesh as shown in Figure 2, which also shows representative velocity vector plots. The smaller dimensioned cells were placed in areas where high pressure gradients causing high cross-flows were expected. Only one-half of the total flow field is calculated since there is a y-plane of symmetry through the slot center. The choice of the computational mesh of the second simulation run, TAPC02, Figure 3, is largely based on the results of the first run and was also limited to a reasonable total number of cells. More cells were added in the z-direction to reduce the**

 $2<sup>1</sup>$ 

**large pressure jumps calculated in TAFC01 and to improve the pressure drop curve resolution. To improve the accuracy of the diversion cross-flow mass transfer, the number of cells across** the slot gap clearance, y-direction dimension, was increased from **2 to 4 cells. The total number of cells for the TAPCO2 run is 2312.**

**The z-direction length of the flow inlet cells was increased to develop a more realistic non-uniform velocity distribution in the donor channel. The z-direction length of the flow outlet cells was increased to match the experimental pressure drop at the outlet.**

**The boundary condition used in the simulation for the donor channel inlet surface is a uniform specified inlet velocity of 1.559 m/s. This is the area averaged velocity determined by dividing the reported volumetric flow rate of 0.905 m<sup>3</sup>/hr by the channel cross-sectional area of 161.3mm<sup>2</sup>. The specified velocity for the recipient channel inlet surface remained zero for all computer runs [3].**

**Both the donor and recipient channel outlets have a common continuative mass flow outlet boundary condition [3]. This condition closely approximates equalized pressure at the outlet cell centers of both channels. By positioning the outlet cell centers further downstream, the experimental outlet pressure drop boundary condition was met.**

**The state of water at 20<sup>s</sup> Celsius and standard atmospheric pressure was used to obtain the values of density (997.2 kg/a<sup>3</sup>) and laminar viscosity (0.001 Pa's). Isothermal conditions were ass umed.**

 $\overline{\mathbf{3}}$ 

**In order to simulate turbulent flow, C0MMIX-1A adds an effective turbulent viscosity to the laminar viscosity and then uses their sum in the evaluation of the viscous shear stress terms at every mesh point in the flow field. The effective turbulent viscosity was estimated from Eq. B.I in Ref. 3 to be 0.005 Pa's. The donor channel inlet flow properties and hydraulic diameter were used in this evaluation.**

**For the cross-flow in the slot, the local Reynolds number is in the laminar region. Therefore, the turbulent viscosity was set to zero for the third simulation run, TAPCO3, to determine the effect of this turbulent viscosity.**

**In the experiment, the pressures were measured on the transverse centerline of the slot at the outer channel walls in regular intervals along the channel height. These points correspond to the two x-edges of the y-plane of symmetry used as a surface boundary in this flow model. Therefore, the adjacent corner cell center pressures at each K level are used to simulate the experimental measurements. In index notation, the donor channel pressure at any K level is associated with the I»17, J»8 cells for the TAPCO2 and TAPCO 3 runs.**

**The recipient channel pressures are associated with the 1=1, J»8 cells. These computed pressures were used to construct the axial pressure curves and to calculate the differential pressure across the slot by subtracting the recipient channel pressure from the donor channel pressure. For comparison purposes, Table 1 in Appendix A lists the differential pressures calculated as above next to differential pressures calculated from the pressure**

4

**for cells Immediately adjacent to the slot Inlet and outlet. Almost all the pressure drop occurs In the slot.**

**The Integral cross-flow mass transfer of any axial distance z Is defined as the double Integral**

$$
\begin{array}{ccc}\n\dot{m}_{cf} & = & - \int & \int & \rho & v_{xe} \, dy \, dz & (1) \\
\text{slot} & \text{gap} & \text{start} & \text{clearance}\n\end{array}
$$

**where:**

**p = density**

**<sup>v</sup>xe <sup>H</sup> x-component of velocity on the slot exit plane (negative from right to left). For TAPCO2 and TAPCO3, this integral is approximated by the**

**double summation shown below:**

$$
\dot{m}_{\rm cf} = -2\rho \sum_{K=5}^{KH} \sum_{J=7}^{8} UL(7,J,K) \cdot DT(J) \cdot DZ(K) \qquad (2)
$$

**where:**

**KH = K level associated with desired height UL(I,J,K) = x-component velocity at mesh location I,J,K DY(J) = y-direction cell length DZ(K) = z-direction cell length For TAPCO2, the area averaged transverse velocity exiting the slot is calculatd as shown below:**

$$
\overline{UL}_{E} = -\sum_{J=7}^{8} UL(7, J, K) \cdot DT(J) \cdot DZ(K) A_{SLOT C.S.}
$$
 (3)

5

**where:**

 $A_{\text{SLOT C.S.}} = [DY(7) + DY(8)] \cdot DZ(K)$ 

**The tables in Appendix A list the data and results associated with these calculations. For TAPCO2, the double summation shown below is used to calculate the area averaged donor channel velocity:**

$$
\overline{WL}_{D} = \sum_{I=11}^{17} \sum_{J=1}^{8} WL(I,J,K) \cdot DX(I) \cdot DY(J) A_{C.S.}
$$
 (4)

**where:**

**WL(1,J,K) = z-component velocity at mesh location I,J,K DX<I) = x-directlon cell length**

 $A_{C, S}$  = cross-sectional area of channel

**The results from the above calculations are then used in the following equation to calculate the transverse resistance coefficient:**

$$
K_R = \frac{\Delta P}{\frac{1}{2} \rho \left(\overline{uL}_E\right)^2}
$$
 (5)

#### **RESULTS:**

**The major results are presented graphically with details given in Appendix A.**

**Figure 4 compares the computed pressure drops minus the gravity head across the slot vs channel height for all three runs with the experimental results. The differential pressure curves computed from TAPCO1 and TAPCO2, shown in Figure 4, follow the trend of the experimental data and graphically illustrate the**

effect of decreased mesh size on the accuracy. Just as significant is the departure of the TAPC03 differential pressure curve from the data. Since the only difference between the TAPC02 run and the TAPC03 run is the removal of the effective turbulent viscosity, clearly its value has an effect on the simulation.

Figure 5 compares the cross-flow mass transfer for all three runs and the experiment. Figure 6 compares the variation of absolute pressure minus gravity head versus channel height for the last two runs and the experiment.

The comparison of axial pressure drops made on Figure 6 has several interesting implications. One is that since the TAPCO2 and TAPCO3 runs both differ significantly from the experimental data, neither is an accurate simulation of the experiment. However, as Figures 4 and 6 show, the agreement with the experimental pressure drop across the slot and the cross flow mass transfer is fairly good for the TAPC02 run. With a turbulent viscosity of five times the laminar viscosity (TAPC02 run) the pressure in the donor channel decreases, then levels off before decreasing again. With zero turbulent viscosity (TAPC03), the pressure drop goes through a minimum. This is the same tread as the data, but the TAPCO3 simulation is highly inaccurate. The computed trends for the axial pressure drop in the recipient channel are basically the same as the data. These trends imply that a constant effective turbulent viscosity used globally can be adjusted to give better agreement with the data for the **same** mesh size used for TAPC02 and TAPCO3.

7

Figure 5 again shows that the TAPCO2 run calculated the most accurate cross-flow of the three runs. One Implication from the comparison of these curves is that the reduction of turbulent viscosity, which may give better pressure drop agreement, will not increase the accuracy of the cross-flow calculated. Another implication from the comparison of the TAPCO1 and TAPC02 curves is that reduced mesh size does lead to more accurate cross flow calculation, both in trend shape and quantity.

Figures 7, 8, and 9 compare pressure drops, cross-flow mass transfer, and pressure variations between only TAPC02 and the experiment. Figure 10 compares the computed average axial velocity in the donor channel with the data. Figure 11 compares the calculated transverse resistance coefficient versus velocity ratio between TAPC02 and the experiment.

Figure 11 shows that the transverse resistance coefficient curve of the TAPC02 run trends very well and has good agreement with the experiment in the low velocity ratio region with decreasing accuracy as the velocity ratio increases. The TAPC02 data point with the largest deviation from the experimental curve is calculated from the flow properties of the first cell level above the slot start. In this region, the velocity and pressure jumps are large due to the appearance of the slot Further decreased mesh size should improve the accuracy of the calculations in this region.

Figures 12 through 31 illustrate the computed cell center velocity vectors of the TAPC02 run for various cross-sectional planes of interest. A "J" plane is a constant y-coordinate plane

8

cutting through the cell centers associated with that particular J index number. Similarly, a "K" plane is a constant z-coordinate plane associated with that K index number.

Figures 32 through 42 similarly illustrate the velocity vectors of the TAPCO3 run.

Several significant observations can be made from the velocity vector plots, Figures 12 thorough 42. One observation is the expected recirculation patterns seen in the "K" plane figures, which vary in strength from level to level. TAPCO1 velocity vector plots had similar patterns on a coarser mesh grid. The large jump in the x-component velocity at the corner of the donor channel and the slot start is clearly seen in Figures 14, 15, and 18. Again similar observations were made from the TAPCO1 and TAPCO3 plots. One interesting comparison between the TAPCO2 and TAPCO3 "J" plane plots, Figures 14, 15, 32, and 33, is the more rapid decrease of the TAPCO2 velocity magnitudes in the slot region. Another interesting comparison between the TAPCO2 and TAPCO3 "K" plane plots is the less rapid change of the TAPCO3 recirculation strength from level to level. The implication from both these comparisons is that the removal of turbulent viscosity results in more overall recirculation and less pressure drop through the slot region.

The velocity vector plots also show that this problem can be divided into three characteristic flow regions. The first is a region of high turbulent parallel flow in the donor channel, the second is a region of low, less turbulent parallel flow through a narrow slot, and the third is a region of medium turbulent reclr-

 $\mathbf{q}$ 

culating flow in the recipient channel which again becomes mostly parallel flow after the slot end.

#### CONCLUSIONS:

The C0MMIX-1A Computer Code has been found to predict correct and accurate trends for pressure differences and mass transfer between channels using a constant value of effective turbulent viscosity. The predicted pressure drops in the axial direction for each channel have the correct trends but are very sensitive to the variation in effective turbulent viscosity. It appears that an effective turbulent viscosity can be found which yields good agreement with the pressure drop data but the computed mass transfer rate is consistently below the data with a maximum deviation, of 20-25%. Private communications from Merilo and Tapucu [4] indicate that the COBRA code could not calculate this problem due to high cross-flows.

Two courses of future investigation are possible. The first is to further reduce the mesh size in the high gradient regions at the slot start. The cost effectiveness of this approach is questionable, however, since the computer running time will increase considerably. The second is to add a more local turbulence model. This may be necessary since the experiment has no imbedded internal structure. In addition the turbulence is considerably higher in the channels than in the slot. Considering the prediction of the correct trends and fairly accurate cross-flow mass transfer, the use of an effective turbulent viscosity appears sufficiently accurate for engineering purposes.

10

**REFERENCES:**

- **1. A. Tapucu, "Studies on Diversion Cross Flow between Two Parallel Channels Communicating by a Lateral Slot. I: Transverse Flow Resistance Coefficient," Nuclear Engineering and Design, Vol. 42 (1977) pp. 297-306.**
- **2. A. Tapucu and M. Merilo, "Studies on Diversion Cross Flow between Two Parallel Channels Communicating by a Lateral Slot. II: Axial Pressure Variations," Nuclear Engineering and Design, Vol. 42 (1977), pp. 307-318.**
- **3. W. T. Sha, H. M. Do man us, R. C. Schmitt, J. J. Oras, and E. I. H. Lin, "COMMIX-1: A Three-Dimensional Transient Single-Phase Component Computer Program for Thermal-Hydraulic Analysis," Prepared by Argonne National Laboratory, Components Technology Division, for the U. S. Nuclear Regulatory Commission, Document, No. NUREG/CR-0785, ANL-77-06 (1978).**
- **4. M. Merilo and A. Tapucu, Private Communications, Aug, 1981.**

**11**

subsequently and the same state of the second to the state of the



# TAPUCU EXPERIMENTAL APPARATUS

 $\frac{1}{16}$  12.7 mm

. There is a set  $\alpha$  is an

 $\hat{\boldsymbol{\cdot}$ 

 $\boldsymbol{12}$ 









*DIFFERENTIAL PRESSURE ACROSS SLOT VERSUS CHANNEL HEIGHT*



15





 $5<sup>1</sup>$ 

Figure ūπ,

# AXIAL PRESSURE VERSUS CHANNEL HEIGHT



 $\overline{L}$ 

Figure  $\bullet$ 

# DIFFERENTIAL PRESSURE ACROSS SLOT VERSUS CHANNEL HEIGHT





 $\overline{6}$ 

Figure



AXIAL PRESSURE VERSUS CHANNEL HEICHT

 $6 \text{ and }$ 



# *TRANSVERSE RESISTANCE COEFFICIENT*







 $\hat{\boldsymbol{\gamma}}$ 

 $\bar{\gamma}$ 

 $\cdot$ 

 $\ddot{\phantom{0}}$ 

L.

$$
J = 8
$$
\n
$$
J = 8
$$
\n
$$
3.0 \text{ m/s}
$$



 $\frac{1}{2}$  . l, l,

> $\sim$  $\ddot{\phantom{a}}$

 $\sim$ 

 $\hat{\mathcal{A}}$ 

$$
J = 7
$$
\n
$$
J = 0.6 \, \text{m/s}
$$









l,



 $\frac{1}{2}$ 

$$
\zeta = 2
$$

 $\cdot$ 

 $0.1 \, \text{m/s}$ 

 $\cdot$ 



 $\overline{\mathbf{27}}$ 

 $\ddot{\phantom{a}}$ 







$$
\begin{array}{c}\n 0.1 \text{ m/s} \\
 \hline\n \end{array}
$$

 $\overline{\mathbf{r}}$ 

 $K =$ 

RESULTS FROM TAPCO2





RESULTS FROM TAPCO2

$$
\frac{1}{\pi}
$$





 $\circ$  $K =$  Figure 19



RESULTS FROM TAPCO2

 $31$ 

**Figure 20** 





$$
\sim 0.1 \, \text{m/s}
$$

 $\infty$ 

 $K =$ 

RESULTS FROM TAPCO2

 $\epsilon$ 



$$
K = 9
$$

 $\sim$ 

$$
\sim 0.1 \, \text{m/s}
$$

 $\bar{\mathcal{A}}$ 

$$
\begin{array}{|c|c|c|c|c|c|} \hline \cdots & \cdots & \cdots & \cdots \\ \hline \cdots & \cdots & \cdots & \cdots & \cdots \\ \hline \cdots & \cdots & \cdots & \cdots & \cdots \\ \hline \cdots & \cdots & \cdots & \cdots & \cdots \\ \hline \cdots & \cdots & \cdots & \cdots & \cdots \\ \hline \cdots & \cdots & \cdots & \cdots & \cdots \\ \hline \cdots & \cdots & \cd
$$



$$
\begin{array}{c}\n-6.1 \text{ m/} \\
\end{array}
$$

 $K=10$ 

l,

 $\hat{\boldsymbol{\beta}}$ 

RESULT FROM TAPCO2

ູທ

 $34$ 



$$
\begin{array}{c}\n-6.1 \text{ m/s}\n\end{array}
$$

 $\bar{\epsilon}$ 

 $K = 11$ 

RESULTS FROM TAPCO2

 $\frac{1}{2}$ 





).<br>Z

$$
K=12
$$

RESULTS FROM TAPCO2

 $\bar{.}$ 

 $0.1 \text{ m/s}$ 



$$
K=13
$$

 $0.1 \text{ m/s}$ 



 $\overline{\phantom{a}}$ 

RESULTS FROM TAPCO2

$$
K=14
$$

$$
\rightarrow 0.1 \text{ m/s}
$$



Figure 27

 $\ddot{\phantom{a}}$ 

k,



RESULTS FROM TAPCO2

 $K=15$ 

 $0.1 \text{ m/s}$ t





$$
\rightarrow 0.1 \, \text{m/s}
$$

 $\overline{\phantom{a}}$ 

RESULTS FROM TAPCO2

 $K = 16$ 

F

 $40$ 







 $0.1 \text{ m/s}$ 

RESULTS FROM TAPCO2

 $K=17$ 

 $\frac{1}{2}$ 

 $\frac{1}{2}$ 







RESULTS FROM TAPCO2

 $\ddot{\phantom{0}}$ 

$$
K=18
$$

 $0.1 \, \text{m/s}$ 



 $\overline{ }$  $\frac{11}{2}$ 

RESULTS FROM TAPCO3







 $\gamma$ 

 $\hat{\sigma}^{\dagger}(\hat{x})$ 





 $45$ 

 $\epsilon$ 

ļ.

RESULTS FROM TAPCO3

$$
K=6
$$

 $0.1 \, \text{m/s}$ 

$$
\begin{array}{|c|c|c|c|c|} \hline \cdots & \cdots & \cdots & \cdots \\ \h
$$

RESULTS FROM TAPC03

ţ.

$$
K = 7
$$

 $0.1 \, \text{m/s}$ 



Figure 36



$$
K = 8
$$

RESULTS FROM TAPCO3

Figure 37

RESULTS FROM TAPC03

 $\sigma$  $K =$   $0.1 \text{ m/s}$ 



49



$$
\overline{\phantom{0}} \quad 0.1 \ \mathrm{m/s}
$$

 $K=10$ 

RESULTS FROM TAPCO3

 $\bar{z}$ 

50



$$
K=11
$$

RESULTS FROM TAPCO3

$$
\zeta = 16
$$

$$
\rightarrow 0.1 \, \text{m/s}
$$



Figure 41

÷,



 $\epsilon$ 





RESULTS FROM TAPC03

$$
K\!=\!17
$$

 $0.1 \text{ m/s}$ 

53

 $\hat{\boldsymbol{\beta}}$ 

in.

**54**

k

APPENDIX A

 $\hat{\mathcal{L}}$ 

# **TfiBLE 1**

### COMPARISON OF DELTA PRESSURE ACROSS SLOT BETWEEN CHANNEL WALLS AND BETWEEN INLET AND QUTLET



**TABLE 2 RESULTS FRDM TRPC02**

**THBLE 3 RESULTS FRDM THPC03**

 $\sim$   $\sim$ 

 $\bullet$ 



# **TfiBLE 4 RESULTS FROM TRPC02**

### CALCULATION OF INTEGRAL CROSS FLOW MASS TRANSFER



### **TRBLE** 5 RESULTS FROM TRPC03

# CALCULATION OF INTEGRAL CROSS FLOW MASS TRANSFER





### **TflBLE 7 RESULTS FROM TAPC02**



 $\sim 10^{11}$ 

**SERE GRID SUMMARY RASS** 

IMAX=17 JMAX= 8 KMAX=20



TOTAL NUMBER OF IRREGULAR CELLS MANS ON TOTAL NUMBER OF CELLS<br>TOTAL NUMBER OF CELLS NATISES NUMBER OF IRREGUALR SURFACE ELEMENTS NLS 0<br>TOTAL NUMBER OF SURFACE ELEMENTS NL1s1460

```
1312E
     NP1#2320<br>NL1#1460
     NADJCCRE
     NPATRCHA
     NPARES
     NFORCESS
     NSTREL
    NELPARED
     ITURKESS
    ILIRF48
    REND
    RCF NM
       IGEOM=0.
       IMAx=17, JMAx=8, KMAx=28,
     IPAx=17, JMAx=8, KMAx=20,<br>
DX=2=0.00286, .00238, .00143, 9m.0018567,<br>
.00143, .00238, 240.00226,<br>
.00143, .00238, 240.00226,<br>
DY=2=.201397, 2=.001016, 2=.008508,2mo.008254,<br>
DY=2=.2049, .10409, 2=.001016, 2=.008508,2mo.008
      AEND
 REG -1.<br>REG -1.
                                       11 17\bulletD INLET
                                                           \mathbf{I}7
                                                                     \bulletR INLET
                                         \mathbf{1}\mathbf{1}\overline{c}\blacksquare-1
                                                                                                              D OUTLET
 REG - I.
                                       11 - 17ö
                                                                            20<sub>20</sub>j,
                                                           \mathbf{I}SLOT END
 REG - Iö
                                                10
                                                                     \pmb{s}\overline{16}\overline{16}ā
                                                           \frac{7}{7}REG - Iō
                                             \overline{10}a
                                                                              š
                                                                                       š
                                                                                                 ś
                                                 <del>ֿ</del>
                                                                     \bulletĀ
                                                                                                 ě
                                                                                                               FLUID SURFACE
                                         \mathbf{I}\bullet\mathbf{1}REG - L11.17ø
                                                                                       \bullet\bullet\blacktriangle\mathbf{1}REG - Iē
                                        \mathbf{1} \mathbf{1}\frac{16}{20}\ddot{\bullet}\blacksquare\blacksquare5
 REG .i.
                                                 7
                                                           \hat{\mathbf{B}}_{\rm{in}}\ddot{\bullet}1Ť
                                        .
 REG - I11 - 17\ddot{\bullet}17\overline{20}\bullet\frac{1}{7}\pmb{\epsilon}REG - I.
                                                                     a
                                                                                     ŽŪ.
                                                                                                              \frac{1}{2}\mathbf{1}-1
                                                           \mathbf{I}\bulletREG -1.
                                      \mathbf{11}\overline{11}\frac{1}{l}\bullet÷
                                                                                     50
                                                                                                ;
 REG - I-ii
                                                                                       ï
                                      Ħ.
                                                                     Ā
                                                                                                               \bullet1
REC - 1ò
                                                                    \bullet20ż
                                      \frac{11}{1} \frac{11}{7}17Ť
REG -14<br>REG -14<br>REG -14
                                                                                    20
                                                                                                \bullet\ddot{\cdot}\mathbf{1}Ŷ.
                                                                    1
                                                                             \mathbf{1}\mathbf{17}50
                                      \mathbf{11}1
                                                                             \mathbf{I}\bullet\pmb{\cdot}10Ť
                                        \bulletŽ
                                                                             \cdot16
                                                                                                \bullet\blacksquareREG -1%
                                       \bullet\pmb{\tau}\ddot{\phantom{a}}\mathbf{I}50
                                                                                                \bullet\bullet1
REG = 1.Ť
                                        ż
                                                           ż
                                                                    \mathbf{a}\pmb{\mathsf{1}}\bullet۰
                                                                                                              \bulletREC -I.
                                                                                                              ò
                                                                    Ā
                                                                                   20
                                        ×
                                                 ,
                                                           Ī
                                                                           17٠
REC - 1.\bullet۰
                                      \mathbf{17}\mathbf{17}20
                                                                                                              \blacksquare\mathbf{1}1
REG - 12,
                                                                    ß
                                                                           20
                                                                                    28
                                                                                              10
                                                                                                              A OUTLET
                                                           ī.
                                        1
END
  BCATA
    .....<br>VEL<sub>OC</sub>=15559, 0.0, 8=000,<br>KFLOk= 1, 1, -5, 2+3, -3, 3*3, -5,<br>TEMP=10+20<sub>=</sub>0,
    IbTaTEmO, IFENERmO,
    KTEMP=10a1,
    ATHCON=-1,
    N'HLUNB-1,<br>
FEOR B 1,2750 E 6, FC1H B 5.35 E+3,<br>
FCORDE 9.9720 E 2, FC1H0=0.8<br>
FCORDE 9.9720 E 2, FC1R0=0.8<br>
FCORDE 1.0100 E-3, FC1K1= 0.85 E=4,<br>
TCOK = 0.00 E-1, FC1K =- 6.25 E=4,
    TURRY . 0055, NHATERED,
   TORICINAL CONSTRUCTION<br>
EPSIBLE-4, EPS2B1.E-6, IDTIMEB1, NOTIMEB0.9, DTENERB1.0<br>
IFITENSO, EPS581.E-6, IDTIMEB1, NOTIMEB0.9, DTENERB1.0<br>
TEMPOR20.0, PRESOB101353., XPRESOB.004, YPRESOB.004,
  THESON1.460,<br>CRAVZs=9.8067, ITIBUCs0, hTPRnTs=9999, hTMAXs1,<br>ISTPR==1201,=1208,=2201,=2208,=3201,=3208,=9201,=9208,17208,<br>ISTPR==1201,=1208,=2201,=2208,=3201,=3208,=9201,=9208,17208,
  8208, 16208, 51003, 51010, 6208, -9201, 16208, 51003, 6200, 16208, 51003, 6200, -9201, -9201, -9201, 17288,
               IFREB=1. N<br>NREBH=19+56,
  KPEBZ=19+56.
  NFORCE=0.
  aEND
```


 $\mathcal{L}(\mathcal{L}(\mathcal{L}))$  and  $\mathcal{L}(\mathcal{L}(\mathcal{L}))$  . The contribution of the contribution of

 $\Delta \sim 10^{11}$  m  $^{-1}$