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THERMAL AND STRUCTURAL ANALYSIS OF HIGH PRECISION BEAMLINE POSITION MONITORS FOR SYNCHROTRON X-RAY BEAMS

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ABSTRACT

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The photon beam position monitors (PBPM) on the front end of the 7-GeV Advanced Photon Source (APS) synchrotron facility under construction at Argonne National Laboratory (ANL) are precision devices that measure spatial as well as angular positions of the x-ray beams. There exist two such devices on each APS front end, and they are set approximately 4 m apart. The required spatial resolution of these devices is of the order of a few microns; the required angular resolution is less than These specifications make the a micro-radian. material selection, design and stability of the PBPM very challenging tasks. The PBPM blades, which generate the photo-electrons signal from the x-ray beam, are indirectly cooled to prevent overheating by the x-ray beam. Even then, the blade is subject to severe thermal stresses. Prediction of the longterm material and position stability of the PBPM blade requires very careful heat transfer and stress analyses. In this paper, thermal analyses under the prevailing high heat flux from the incident beam and the corresponding stress analyses for various blade configuration are presented. As a result of these analyses, several options in design were developed and compared, including material selection for the blade and its structural detail.

INTRODUCTION

The PBPM on the front end of the 7-GeV APS synchrotron facility are precision devices that -measure spatial-and angular positions of the x-ray

beams [1]. There exist two such devices on each APS front end at approximately 4 m apart [2]. The tight requirements on spatial and angular resolutions make the structural design, and material selection of the PBPM very challenging.

The PBPM is composed of a diamond blade [3] to achieve very good thermal conductance and two copper (Cu) block on each side of the blade. On each side of the blade, there is a layer of 0.5 mm thick oxidized Beryllium (BeO) strip. The BeO layers are The assembly is used for electrical insulation. shown schematically in Fig. 1. On one side, a 10 mm. thick Cu block is cooled by water at the opposite surface. On the other side of the diamond blade, a 1.14 mm thick Cu block is clamped down by a group of set screws. These set screws are placed apart judiciously to obtain as uniform as possible an interfacial pressure between the contacting surfaces for good thermal conductance.

In this paper, thermal analyses with different details of modeling of the PBPM under the prevailing high heat flux from an x-ray beam are presented. As a result of these analyses, optimal shapes of the PBPM were investigated and compared, and then material selection as well as structural detail were examined. First, a twodimensional thermal analysis of PBPM with a constant temperature at the clamped edge of the PBPM was performed. The results were found to be consistent with experimental results. A threedimensional analysis was then performed to model the PBPM more precisely. Different contact conductance coefficients at the interface of the diamond and the BeO strip were used depending on the interface pressure. A static analysis for this

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analysis to determine the pressure distribution in power is absorbed as surface heat flux.
order to best estimate the contact conductance Fig. The diamond blade size of the PBPM design order to best estimate the contact conductance Fig. 4.. should be as small as possible while keeping the

is the *APS* Undulator A, which has the highest heat temperature. This implies that the PBPM's shape is flux of *APS* devices. The total power of the x-ray optimal when it is designed in such a way that, as **Figure 1** absorbed by the PBPM at 16 m from the source, toward the tapered end (top to the bottom of the beam from this device is 10170 W. The heat flux the beam moves from the thickest part of the blade absorbed by the PBPM at 16 m from the source. shown in Fig. 2, can be approximated by the blade), the maximum temperature attained should

following expression [4]:
 Following expression [4]:

$$
F(v, h) = \frac{3P}{4\sqrt{2\pi\sigma}H} e^{-\frac{v^{2}}{2\sigma^{2}}}\left(1 - \frac{h^{2}}{H^{2}}\right)
$$
 (1)

 \therefore measured from the center of the beam, P is the total and \therefore curved tail (the part between L2 and L) should be exposed to the absorbed power, 2H is the horizontal extent of the beam, and σ is the standard deviation of the vertical beam, and o is the standard deviation of the vertical signal that is proportional to the position of the Gaussian profile.

an profile.
Early assessment by analytical and computer beam, Early assessment by analytical and computer
solutions confirms that the heat loss through the seal accepted to consumering procession in the $\frac{1}{2}$ solutions confirms that the heat loss through diamond material (a conservative precaution in the radiation is very small (less than 1%) compared $\frac{1}{2}$ $\frac{1}{2}$ $\frac{1}{2}$ conservative desirable to keep the with conduction, and hence is negligible. For an uncoated diamond blade, when the x-ray beam For optimization, the maximum temperature intercepts the diamond blade, the power profile will be absorbed at a very thin layer of the surface. Estimates indicate that the total required diamond
this blade geometry can be optimized by adjusting the
thickness for complete absorption of the power is mexices for complete absorption of the power is dimensions indicated in Fig. 3. These considerations about 10 mm [7]. However, in this study, a metalabout 10 mm [7], However, in this study, a metal-
coated diamond blade is modeled, and, therefore, Fig. 2. Il 5 mm 12.45 mm I = 60 mm H1=12 mm coated diamond blade is modeled, and, therefore, Fig. 3: L1=5 mm, L2=45 mm, L=60 mm, H1=12 mm, surface deposition is assumed regardless of the $H2=16$ mm, and H=20 mm, The resulting thickness or kind of metal coating, Depending on the kind and the coating thickness, this assumption
yields conservative estimates of maximum yields conservative estimates of maximum

An examination of Fig. 5 indicates that when
 $\frac{1}{2}$

The analytical study here examines a plausible operational scenario in which x-ray beam plausible operational scenario in which x-ray beam This temperature decreases gradually in the straight missteering occurs, and the PBPM blade is hit missteering occurs, and the PBPM blade is hit section (from L1 to L2), which is designed for a directly by the full beam. In normal operating it is a start accessor to date the position of the directly by the full beam. In normal operating linear signal response to detect the position of the conditions, the PBPM blades are positioned away beam. The maximum temperature again rises to conditions, the PBPM blades are positioned away beam. The maximum temperature again rises to from the thermally hot central regions of the x-ray 575 \degree C in the curved part. The curved section is beam and are exposed only to the peripheral

NUMERICAL ANALYSIS Three-dimensi**onal model**

that the temperature at the clamped part of the

interface pressure was done prior to the thermal blade remains uniformly constant and the total
analysis to determine the pressure distribution in power is absorbed as surface heat flux.

The x-ray source considered for this analysis maximum temperature below the tolerance
APS Undulator A, which has the highest heat temperature. This implies that the PBPM's shape is _. i following express**i**on [4]: remain substantially the same for the smallest \therefore :: \therefore . \therefore . \therefore \therefore likely be achieved if no constraint is subjected to the shape of the blade during the optimization. \overline{P} \overline{P} \overline{P} \overline{P} \overline{P} \overline{P} conditions, a straight section for working region at However, for linear feedback under normal working $\frac{1}{2}$.

where h and v are horizontal and vertical distances the top (between L1 and L2 in Fig. 3) followed by a curved tail (the part between L2 and L) should be used. The working region will be exposed to the peripheral regions of the beam and will send back a

> UHV environment), it is desirable to keep the maximum temperature of the blade below 600 °C.

> is kept below 600 \degree C as the beam is moved from the top to the bottom of the blade. By doing this, the $H2=16$ mm, and $H=20$ mm. The resulting temperatures for different beam locations are presented in Fig. 5.

the beam moves from the top to the bottom of the blade, the maximum temperature reaches 572 °C. beam and are exposed only to the peripheral used to reduce the total length of the diamond blade
regions of the beam (soft energies). and, hence, the size of the whole PBPM assembly.

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The three-dimensional (3-D) analysis models The two-dimensional (2-D) analysis assumes the whole PBPM assembly. For this analysis, the The two-dimensional (2-D) analysis assumes thickness of the diamond blade is taken to be 50 μ m. The thinner the blade, the less power is

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deposited in it, which is advantageous from a boundary temperature assumption of the 2-D
cooling point of view. In the ultimate design, a model. The 3-D model results in a longer curved cooling point of view. In the ultimate design, a model. The 3-D model results in a longer curved
'somewhat thicker blade may be used because of the part for the blade in order to achieve a tolerable 'somewhat thicker blade may be used because of the part for the blade in order to achieve a tolerable :! requisite stiffness considerations. A •finite element maximum temperature with beam movement. The ζ code is used for both the stress and the thermal curved portion of the blade becomes 17 mm in the

account the contact conductance between different materials and different surfaces in the 3-D model. materials and different surfaces in the 3-D model. Currently, we use a beam position 2 mm above H1
But it is difficult to estimate the contact in Fig. 3 as the lowest position of allowed beam conductance between two different materials, since missteering before shutdown. The computed it depends on many variables such as the hardness temperatures for different beam positions are it depends on many variables such as the hardn³ is temperatures for of the contacting materials, surface finish, contact presented in Fig. 6. of the contacting materials, surface finish, contact pressure, etc., [5 and 6]. The most significant $\begin{array}{c}\n\vdots \\
\vdots \\
\vdots\n\end{array}$ pressure, etc., [5 and 6].
 $\begin{array}{c}\n\vdots \\
\vdots\n\end{array}$ Since the contact cond \mathbb{R} variable is the contact pressure.

Since the contact conductance mainly depends RESULTS on the pressure of the contact surfaces if other factors remain the same, a static stress analysis was The optimal shape of the diamond blade is carried out to determine a reasonable contact investigated by 2-D and 3-D finite element analyses conductance. Because the PBPM utilizes a group of that are intended to help one choose the best blade
set screws for the blade fastening, the ultimate geometry for thermal performance and design torque for the set screws was calculated and was optimization.
then used to obtain the force for input. This value confirm that the was further checked by some simple in-house tests.
The pressure distribution is shown in Fig. 4.

Because the fastened plates are very thin, the high major difference between the 2-D and 3-D analyses normal pressure is distributed very locally around is that the maximum temperature is not a function normal pressure is distributed very locally around is that the maximum temperature is not a function
the set screws. Elsewhere, the pressure is very of the blade thickness for the 2-D model, while it is the set screws. Elsewhere, the pressure is very of the blade thickness for the 2-D model, while it is small. For a conservative but simplified analysis, a for the 3-D case. In the 3-D model, the maximum *f* small. For a conservative but simplified analysis, a for the 3-D case. In the 3-D model, the maximum 5 ksi pressure is assumed for the contact temperature varies with blade thickness (which 5 ksi pressure is assumed for the contact temperature varies with blade thickness (which
conductance under the set screws and there is no determines the total absorbed power). Calculations conductance under the set screws and there is no contact between the screws, confirm that the thinner the blade, the closer are

data on contact conductance for oxygen-free copper that, as the blade becomes thinner, the contact
and beryllium at different interfacial pressures and resistance becomes smaller compared with the total and beryllium at different interfacial pressures and resistance becomes smaller compared with the total under vacuum conditions. However, no data above 1 resistance. Also, the total power absorbed by the under vacuum conditions. However, no data above 1 ksi pressure is given in these references. Therefore, blade is proportional to the thickness of the blade.
we used the data for 1 ksi in our calculations, again Because the contact area of the beam remains we used the data for 1 ksi in our calculations, again

By adjusting the design variables L1 and L2, thinner the blade, the lower the temperatures.

ied to keep the maximum temperature below A comparative analysis is performed with we tried to keep the maximum temperature below and A comparative analysis is performed with
600 °C when the beam hits anywhere from the top different contact conductances in the screwed down 600 °C when the beam hits anywhere from the top different contact conductances in the screwed down
of the blade to the lower part of the blade. Th³ area to assess the effect of the effective contact of the blade to the lower part of the blade. The area to assess the effect of the effective analysis results in the following values for the conductance on the maximum temperature. analysis results in the following values for the conductance on the maximum temperature. When variables indicated in Fig. 3: $L1=3$ mm, $L2=53$ mm, the effective contact coefficient is varied from $h=10$ variables indicated in Fig. 3: L1=3 mm, L2=53 mm, the effective contact coefficient is varied from h=10 L=70 mm, H1=12 mm, H2=16 mm, H=20 mm. The W/cm^{2 o}C to 5 W/cm^{2 o}C in the 3-D analysis, L=70 mm, H1=12 mm, H2=16 mm, H=20 mm. The total length is 70 mm, 10 mm longer than that calculations show little difference in maximum
obtained with the 2-D model. The 3-D model is temperature, which remains constant at about 569 obtained with the 2-D model. The 3-D model is considered more realistic than the 2-D mode¹ considered more realistic than the 2-D mode¹ ⁰C. When the effective contact coefficient is further
because a contact conductance has been modeled reduced to h=2 W/cm^{2 0}C, the maximum temperather than the less realistic but simple constant

de la constantina de

Examples the test is used for both the stress and the thermal curved portion of the blade becomes 17 mm in the analyses, in which gap elements were used to model 3-D analysis versus 15 mm in the 2-D case. The leagth of thi It is a more precise analysis to take into lowest position that the beam center is allowed to
nt the contact conductance between different reach before the interlock system engages. in Fig. 3 as the lowest position of allowed beam
missteering before shutdown. The computed

the ultimate geometry for thermal performance and design
ted and was optimization. Both the 2-D and 3-D analyses conf*irm* that the current PBPM design with diamond
blades can survive beam missteering when the maximum temperature is kept below 600 \circ C. A major difference between the 2-D and 3-D analyses References [5 and 6] contain experimental the 3-D and the 2-D results. One obvious reason is
on contact conductance for oxygen-free copper that, as the blade becomes thinner, the contact a conservative assumption.
By adjusting the design variables L1 and L2, thinner the blade, the lower the temperatures.

reduced to h=2 W/cm^{2 o}C, the maximum tempe-
rature increases somewhat to 593 ^oC. A value of

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0.5 W/cm^{2 o}C gives 700 °C. The above results show that the relative resistance of the contact surface to the total resistance is very small, and the maximum temperature is not sensitive to the contact pressure within the range of 1 to 10 ksi.

DISCUSSION

The results in this study are from steadystate thermal analyses, which were based on very conservative assumptions. Normally the beam does not remain fixed spatially, and, as the beam moves, the feedback system takes corrective action. In an extreme case of missteering, the feedback system can even shut down the beam. The transient nature of the beam movement should result in lesser thermal effects on the PBPM blades and, hence, added thermal and structural safety. Transient beam analysis will be conducted in future studies. We also plan to test and measure a PBPM on an existing beamline. Those experimental results will be compared with the numerical results.

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Figure 2. APS insertion device power distribution

Figure 3. Schematic of the Blade for the Photon Beam Position Monitor

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