

1 **COMPARISON OF REYNOLDS AVERAGING NAVIER-STOKES (RANS)**
2 **TURBULENT MODELS IN PREDICTING WIND PRESSURE ON TALL**
3 **BUILDINGS**
4

5 D. Mohotti^{1*} and K. Wijesooriya¹, D. Dias-da-Costa¹
6 ¹School of Civil Engineering, Faculty of Engineering and IT
7 The University of Sydney
8 Darlington NSW 2006
9 AUSTRALIA
10 e-mail: damith.mohotti@ sydney.edu.au

11
12 **Abstract:** This paper presents a detailed comparison of using Reynolds Averaging Navier-Stokes
13 (RANS) approach in predicting wind pressure on a super-tall 406 m slender tower with circular cross-
14 section. The results obtained from wind tunnel tests using a rigid model approach in a boundary layer
15 wind tunnel (BLWT) were compared to that of Computational Fluid Dynamics (CFD) numerical
16 simulations. The main objective of this study is to critically investigate the possibility of using RANS
17 turbulent model based CFD approach in tall building design. Three different RANS turbulence models
18 were compared with the wind tunnel data in predicting flow characteristics. The detailed wind tunnel
19 experimental procedure and numerical approach are discussed and presented. It was shown that the shear
20 stress transport (SST) variant model, $k - \omega SST$, could predict pressure coefficients comparable to that
21 of the wind tunnel experiments. The influence of flow separation point on flow characterisation and
22 pressure prediction is highlighted. The improvement that can be made in the near-wall region in the
23 finite volume mesh to achieve an accurate separation point is presented. The effects of Reynolds number
24 produced in the wind tunnel and scaled-down numerical models were compared with the anticipated
25 full-scale flow Reynolds number. Hence, it is shown that a correct modelling technique in CFD using
26 RANS turbulence models can be used as an alternative design approach of super-tall structures to
27 estimate wind-induced pressures.

28
29 **Keywords:** Tall buildings; slender structures; dynamic wind, Computational fluid dynamics (CFD),
30 steady RANS

31 **1. INTRODUCTION**

32 The global demand for super-tall structures is increasing, driven by many factors, including the need to
33 provide solutions to highly populated cities, the desire to build iconic landmarks, or even to demonstrate
34 the prowess of a sovereign state. China's Shanghai Tower, Dubai's Burj Khalifa, and the under-
35 construction Jeddah Tower in Saudi Arabia (which is to reach a total height of 1000 m), are a few
36 examples of the recent trend and global competition in the super-tall structures domain. Recent
37 advancements in construction capabilities, materials and design techniques have assisted the ability to
38 build such structures. The design of super-tall structures greater than 300 m in height is usually governed
39 by lateral load stability due to wind loads [1].

40

41 Free-standing towers that are used for multifunctional purposes are gaining popularity, especially with
42 advancements in telecommunications technology. Good examples of such structures include Australia's
43 Sydney Tower Eye, Canada's CN Tower, and Malaysia's KL Tower. These structures are slender and
44 generally exhibit circular or rounded sections. Slender structures usually attribute long natural periods
45 of vibration and are sensitive to the dynamic nature of wind. Circular sections advocate a higher
46 frequency of vortex shedding in comparison to commonly used shapes such as squares and rectangles
47 [2]. Concave and curved surfaces generally provide complex flow patterns when air passes around/over
48 them due to their shapes and resulting pressure gradient. Circular and elliptical sections are highly
49 sensitive to Reynolds number, roughness and turbulence [3]. This highlights one of the important aspects
50 of studying the aerodynamic effects of such structures as there is limited research on super tall buildings
51 with circular cross-sections.

52

53 The design of tall buildings are included in modern wind engineering codes of practice where
54 approximate procedures for load evaluation and building acceleration are provided. However shape and
55 height limitations are imposed where for the case of a non-typical geometry, experimental procedures
56 in the form of wind tunnel tests are recommended [4]. Also standards such as the AS1170.2:2011 [4]
57 have limitations with regard to the dynamic properties of the building where for structures with

58 fundamental frequencies of less than 0.2 Hz isn't covered. Since most super tall structures exhibit fairly
59 long natural periods wind tunnel testing is recommended [4].

60 One of the main outcomes from such analysis is to obtain pressure distributions on the surface of the
61 building using a rigid model approach [1]. In general practice, typical wind tunnel data is used in the
62 design of façades and also can be used for the calculation of lateral loads using a technique known as
63 high frequency pressure integration (HFPI) [1, 5, 6]. However, wind tunnel testing has its own
64 limitations, including the misrepresentation of Reynolds number due to the use of scaled models. The
65 effect of Reynolds number on the pressure coefficients of circular cylinders has been investigated by
66 Roshko [7] and Achenbach [8]. The results showed distinct differences between the pressure values
67 produced by flows with different Reynolds numbers. The values of the Reynolds numbers in full-scale
68 wind flow and the scaled-down models used in a wind tunnel can be significantly different. Practitioners
69 generally employ rough surfaces to simulate turbulent flow which is comparable to real-life conditions;
70 however, this is a rudimentary method as the degree of roughening required to simulate real wind
71 behaviour is unknown. Therefore, substantial parametric studies are required before selecting suitable
72 roughness elements for a given application. In addition, practical constraints such as time, costs and the
73 need for technical expertise can be additional limitations of regular wind tunnel tests.

74

75 Computational Fluid Dynamics (CFD) is increasingly used in wind engineering to analyse wind loads,
76 pollutant dispersions, pedestrian-level wind comfort and wind energy harvesting, as discussed by
77 various authors [9-13]. The main advantage of CFD is the ability to simulate full-scale models with the
78 inclusion of full-scale atmospheric boundary layer (ABL) flows within a virtual domain. Also, while
79 parameters are only measured at selected points on the wind tunnel model, CFD provides detailed
80 information about wind velocities, wind pressures, and wind concentration at any grid point within the
81 flow domain [14]. Additionally, in contrast with the conventional wind tunnel methods which require
82 material, labour and time resources, CFD offers more flexibility in conducting parametric studies for
83 different flow conditions, geometries and complex surroundings at a reduced cost [15]. Turbulence
84 modelling is at the heart of CFD, where different models can be employed to simulate the flow of wind.
85 In practical applications of CFD, turbulence models can be broken down into two types, namely, scale

86 resolving models (large eddy simulations (LES), detached eddy simulation (DES) and scale adaptive
87 simulation (SAS)) and Reynolds Averaging Navier-Stokes (RANS) [16]. LES is a step down from direct
88 numerical simulation (DNS) and unlike RANS, which models all scales of eddies, LES resolves the
89 largest eddies and models the smaller scales by a filtering method based on the computational grid [17].
90 LES requires a considerable amount of computational power and is usually used as a research tool,
91 whilst RANS is considered in practical engineering applications of CFD. The application of CFD for
92 tall structures has been investigated by various authors where the main subject of these studies has been
93 the 184 m tall CAARC (Commonwealth Advisory Aeronautical Council) standard building, as defined
94 by Melbourne [18]. For instance, Huang et al. [12] showed that CFD results are comparable to that
95 obtained from the wind tunnel. They also investigated the effects of inlet conditions on the mean and
96 RMS (root mean square) pressure variations on the building. Braun and Awruch [19] conducted complex
97 numerical simulations using LES where fluid structure interaction (FSI) for the building was assessed
98 and was found to be comparable to the aeroelastic response obtained from the wind tunnel. Dagneu and
99 Bitsuamlak [20] also employed LES and studied different inflow conditions where pressure
100 measurement readings were studied under these different influences. Zhang et al. [21] performed zonal
101 DES simulation where the unsteady fluid loads are transferred to a structural modal analysis and the
102 resulting building responses were compared to wind tunnel results. More recently, Meng et al. [22]
103 evaluated and compared pressure distributions of a full scale CAARC building in CFD to that of wind
104 tunnel results and showed good correlation. The general consensus from these studies is that CFD can
105 be used in wind engineering applications for tall buildings and show comparable results to that obtained
106 from wind tunnel tests. The CAARC building's popularity is due to its simplistic geometry which offers
107 fairly complex aerodynamic flow. Also, the CAARC building is well-documented as a number of wind
108 tunnel tests have been conducted by several authors and are readily available [18, 23]. Apart from the
109 CAARC building, comparisons of turbulence models on the wind environment around high rise
110 structures [24, 25] and aerodynamic optimisations of building shapes [11, 26, 27] are some other
111 applications of CFD in the tall buildings domain. From these studies it is clear that majority of research
112 on CFD on tall buildings are focused on geometries such as square and rectangular cross-sections. Whilst
113 square and rectangular shapes are considered to be common shapes for low to medium rise buildings, in

114 the modern world tall buildings usually inhibit curved and rounded surfaces that are aesthetically
115 pleasing. These curved features usually invoke complex aerodynamic flow behaviour around the
116 structure which are different to those observed in square or rectangular cross-sections. The studies
117 mentioned above use high fidelity turbulence models such as LES which show good correlations with
118 experimental outcomes but have achieved this at a high cost of computational time/resources. Also, the
119 ability of certain RANS models such as $k - \omega SST$ has scarcely been fully explored for tall buildings.
120 For 2D simulations, $k - \omega SST$ has shown to be superior in pressure predictions [28, 29] compared to
121 other $k - \varepsilon$ type models especially for geometries where separation due to adverse pressure gradients is
122 to be expected. Also in more recent application of RANS for structures, Xing et al. [30] showed that the
123 $k - \omega SST$ to better predict pressures and capture separation of flow than other RANS models. Hence
124 it is beneficial to explore the capability of current RANS turbulence models on tall structures which
125 exhibit circular cross section or other curved faces in a 3D spatial setting. Existing buildings such as
126 the KL tower in Malaysia and Lotus tower in Sri Lanka are very good examples of such buildings. This
127 calls for a study where a tall building needs to be assessed both experimentally and numerically in CFD
128 beyond the geometry configurations of the CAARC building and other square/rectangular shapes. Most
129 of the available literature investigate buildings with height below 200 m (as highlighted, CAARC
130 building which is 184 m tall) and doesn't qualify as a super-tall structure. Therefore the present study
131 addresses this research gap by presenting comprehensive experimental and numerical investigation on
132 a supper tall building structure with a complex geometry.

133

134 As aforementioned, the aerodynamic characteristics of circular cross-sections are quite complex and
135 different to that of square sections. Whilst numerous studies have been conducted for tall buildings with
136 square and rectangular cross-sections, very limited research has been done on circular sections,
137 especially on super-tall structures. Furthermore, there is no clear comparison reported between CFD and
138 wind tunnel data for windward, leeward and crosswind. In this paper, a 406 m super-tall tower with
139 circular cross-sections of varying diameters along its height was studied. A wind tunnel study was
140 conducted in the University of Sydney's boundary layer wind tunnel (BLWT). Numerical simulations
141 in the form of CFD were conducted using ANSYS Fluent [31], and comparisons were made with the

142 experimental results. The circular cross-sectioned structure was critically analysed, with a focus on
143 providing a practical engineering approach for the wind design of slender super-tall structures. With the
144 increasing trend towards the use of scale-resolved turbulence models, this study aims to achieve accurate
145 prediction of wind-induced pressures by investigating different RANS turbulence models. Furthermore,
146 the impact of scaling is studied in the numerical setting to identify the difference between wind
147 distributions on scaled and full-scale models. Thus, the main aim of this study is to provide an approach
148 which is computationally affordable at obtaining mean wind pressures using RANS as opposed to a
149 more computationally demanding turbulence model such as LES. The study presents various modelling
150 techniques and parameters that users could use to further improve the capabilities of RANS turbulence
151 modelling.

152 **2. EXPERIMENTAL SETUP AND DESIGN**

153 The general geometry of the building was defined by the authors, considering many similar worldwide
154 structures. Mainly inspired by the KL Tower in Malaysia, the tower in consideration is graphically
155 presented in Figure 1, consisting of four key segments, namely the base, shaft, bulb and spire of the
156 tower. The tower is 406 m in height and consists of circular cross-sections of varying diameters. The
157 average diameters at the base, shaft and bulb of the tower are 50 m, 15 m and 24 m, respectively. The
158 height of the tower excluding the spire is 300 m, which means that the spire accounts for approximately
159 1/4 of the height of the tower. The tower is assumed to be located in a terrain category 2 zone, as defined
160 in AS/NZS 1170.2:2011 [4].

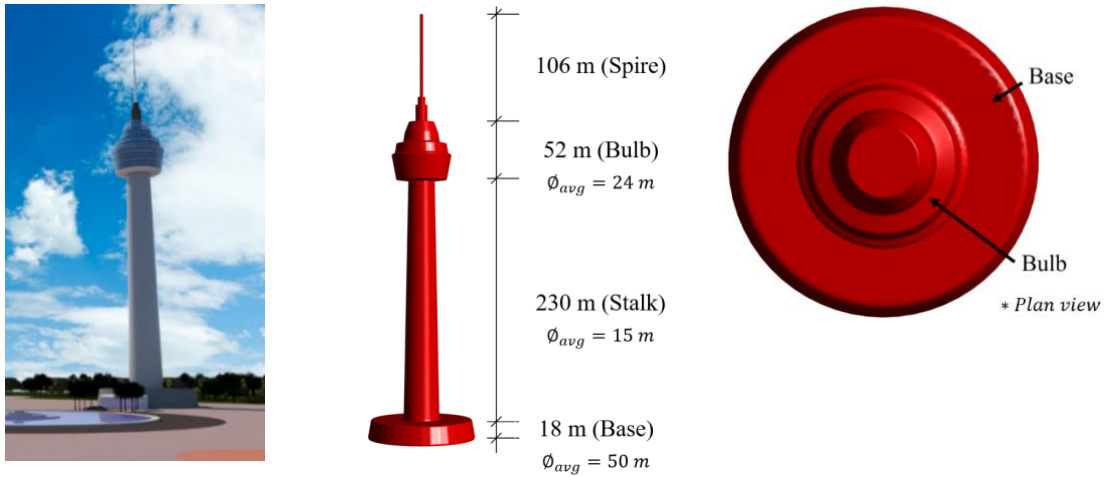


Figure 1: Graphical representation of the tower used in this study

161 **2.1. Model Creation**

162 The foremost step of the modelling procedure involved choosing an appropriate model scale to create
 163 an accurate representation of the selected building. Generally, a scale between 1/300th and 1/400th is
 164 recommended for buildings [1]. In this study, a scale of 1/300th is used to achieve a satisfactory
 165 distribution of pressure points along the height of the building. This also satisfies the blockage ratio
 166 requirement from a standard wind tunnel test. The material used in the 3D printing was acrylonitrile
 167 butadiene styrene (ABS), which is a flexible (non-brittle) plastic recommended for wind tunnel model
 168 preparation. One of the main concerns in the model preparation was the surface finish. The surface
 169 roughness of the model can affect the behaviour of flow around circular bodies, which directly affects
 170 pressure coefficients on the crosswind face and the leeward face of circular bodies [32]. Hence, a high-
 171 quality surface finish was achieved to represent a smooth surface on the model, which is then
 172 comparable to the numerical simulation discussed in subsequent sections of this paper. A total of 126
 173 pressure taps were used, with 63 on each side in the windward and crosswind surfaces. The 63 pressure
 174 taps were evenly distributed along the height of the building, with an average spacing of 16 mm (5 m in
 175 full-scale). Using a large length scale (1:300) enabled a high resolution of pressure taps along the height
 176 of the building. The model was printed in parts, as shown in Figure 2, and was assembled together once
 177 the pressure taps had been fixed.

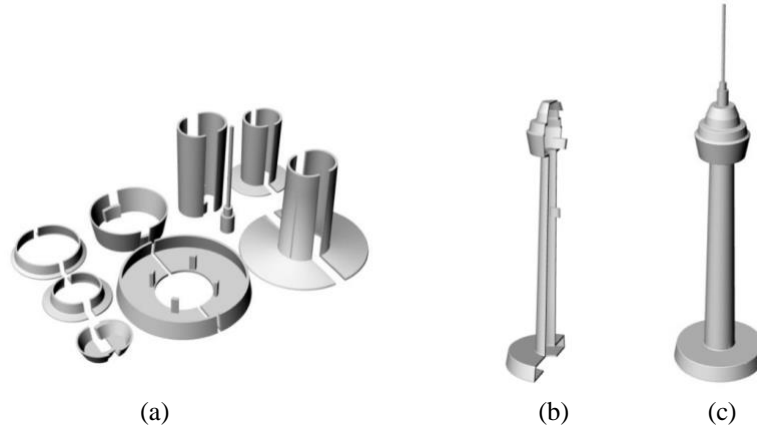


Figure 2: (a) 3D model parts, (b) half combined, (c) two halves together, once the pressure tube was fixed

178 **2.2. Setup & Preparation**

179 The wind tunnel used for this study was the BLWT in the School of Civil Engineering at The University
 180 of Sydney. The tunnel is a closed loop system with a testing section measuring 19 m long, 2.5 m wide
 181 and 2 m high. It is capable of handling a top speed of 27 m/s at full capacity. The building was subjected
 182 to a turbulent boundary layer flow, where a velocity profile and turbulence intensity profiles were
 183 created within the tunnel. The wind profile used for this study was based on AS 1170.2:2011 [4] terrain
 184 category 2, with a roughness height (z_o) of 0.02 m. One of the main limitations in using the guidelines
 185 of AS 1170.2:2011 for tall and super-tall buildings is the imposed height restriction where profiles are
 186 defined up to 200 m. However, the velocity profile can be extended based on the Harris and Deaves
 187 model [33, 34]. Similarly, the turbulence intensity profile for terrain category 2 can be extended using
 188 Eq. 1 [2], where $I_u(z)$ is the turbulence intensity at any given height z (m).

$$I_u(z) = \frac{1}{\ln\left(\frac{z}{z_o}\right)} \quad \text{Eq. 1}$$

189 The wind and turbulence profiles were generated in the wind tunnel by using roughness elements and
 190 spires, as shown in Figure 3. A trial and error process was used, where the blocks were placed in different
 191 locations until the appropriate velocity profile and turbulence were achieved at the building location. A
 192 cobra probe was used to measure the velocity in three directions at specified increments. Figure 4a shows
 193 a comparison of the terrain 2 boundary layer wind profile according to AS 1170.2 and the wind tunnel

194 tests. The Y-axes are scaled-up to the real height and the X-axes show the normalised velocity at the
 195 building location. Similarly, Figure 4b shows the turbulence intensity plot.

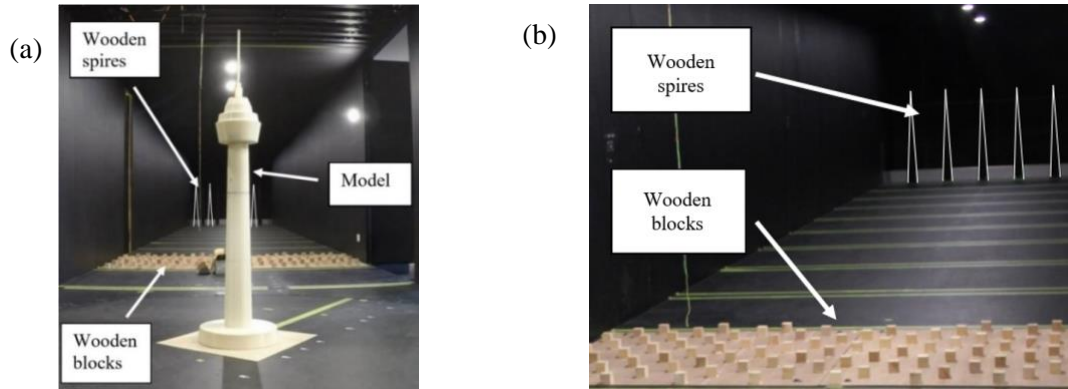
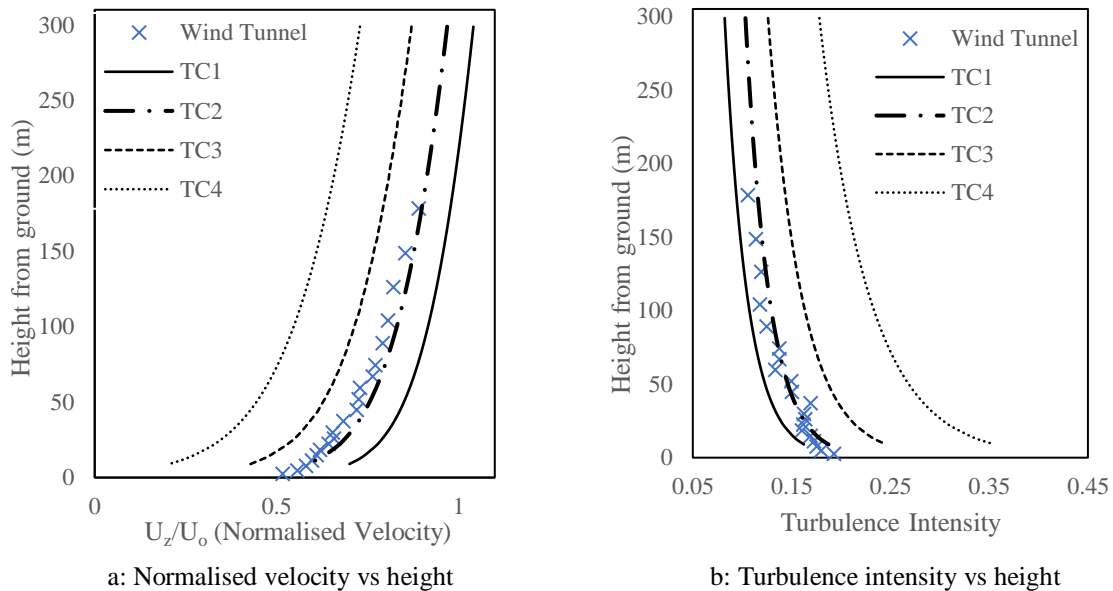


Figure 3: Wind tunnel setup: (a) the building, (b) roughness elements used in the wind tunnel



a: Normalised velocity vs height
 b: Turbulence intensity vs height
 Figure 4: Normalised velocity and turbulence intensity recorded in the wind tunnel and scaled-up to real height

196 Prior to testing, the wind tunnel was calibrated against atmospheric pressure. The tunnel was also
 197 equipped with two pitot static tubes, with one of the pitot tubes fixed to the ceiling. The main purpose
 198 of the first pitot tube was to determine the free stream velocity in the tunnel, which was used for setting
 199 the tunnel at the correct testing speed. The second pitot tube was located at the reference height of the
 200 building, which was approximately 1 m downstream of the building. This was used to record the total
 201 and static pressures at the reference height. From this, the dynamic pressure could be determined using
 202 Bernoulli's Equation, as shown in Eq. 2. These pressure values, namely the total pressure, static pressure
 203 and the dynamic pressure, were then used as normalisation values to determine the pressure coefficients
 204 at each pressure tap.

$$P_{static} + P_{dynamic} = P_{total} \quad \text{Eq. 2}$$

205 The dimensionless pressure coefficients can then be expressed as shown in Eq. 3:

$$C_p = \frac{P - P_{static}}{P_{dynamic}} \quad \text{Eq. 3}$$

206 where C_p is the pressure coefficient, P is the pressure measured at the tap, and P_{static} and $P_{dynamic}$ are
 207 the static and dynamic pressures measured at the reference height by the pitot tube.

208 Wind tunnel testing in this study was conducted in two phases. The first phase of testing was conducted
 209 at a free stream velocity of 12 m/s, where the velocity profile and turbulence intensity profiles were
 210 calibrated and matched to that of terrain category 2. The second phase of the wind tunnel tests were
 211 conducted with the building model for a duration of 2 minutes per test, with data logged at a frequency
 212 of 2000 Hz. This means the pressure readings were logged every 0.5 ms, with a total number of 240,000
 213 pressure readings recorded for each tap. Two minutes at model-scale represent approximately 2 hours
 214 in full-scale. Although specific guidelines are not provided, generally the recommended full-scale
 215 sampling time is around one hour [35]. The pressure measurements were recorded for each 45°
 216 increment, as shown in Figure 5, where A & B mark the locations of the 126 pressure taps (63 each).

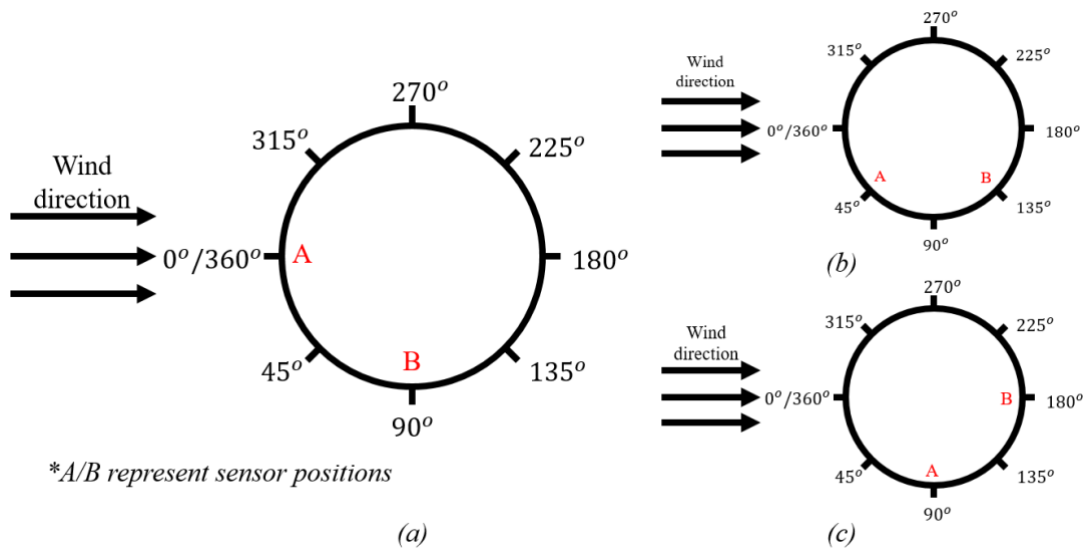


Figure 5 : Test configuration layout where (a) is the start position with sensors “A” facing windward and “B” facing crosswind, (b) model is rotated by 45°, and (c) model is rotated by further 45°
 217 A second set of tests were conducted for a free stream velocity of 12 m/s, where the pressure taps were
 218 only active on the windward face. The table was rotated every 20°, and pressure recordings were taken
 219 for the same duration and sampling rate as aforementioned. A total of 10 data sets were acquired in

220 measuring from 0° to 180° . The results from this test were used to compare the pressure distributions
 221 around the structure which were captured at a higher resolution as opposed to 45° increments for phase 1.
 222 Further validation of the wind tunnel setup is given in terms of the recorded longitudinal velocity spectra.
 223 It is understood that wind is dynamic and thus the velocity spectrum is a non-dimensional function
 224 describing the change in velocity as a function of turbulence with frequency [2].
 225 The von Karman-Harris mathematical function is commonly used as a comparison in wind engineering.
 226 The simulated velocity spectrum used for this study is shown in Figure 6, where it is compared with the
 227 von Karman-Harris simulation. Data was recorded at a height of 600 mm from the ground, where an
 228 integral length scale of 2.66 m was computed with a mean velocity of 6.2 m/s. The sampling time for
 229 this test was 1 minute, with a sampling frequency of 2000 Hz. As can be seen from Figure 6, there is a
 230 close correlation between the two curves, which indicates that the wind tunnel setup can be assumed to
 231 replicate the turbulence in the atmospheric boundary layer. It is important that the power spectral density
 232 recorded in the wind tunnel correlates well with the atmospheric turbulence profile, as it directly
 233 influences the peak pressures experienced by the structure [12].

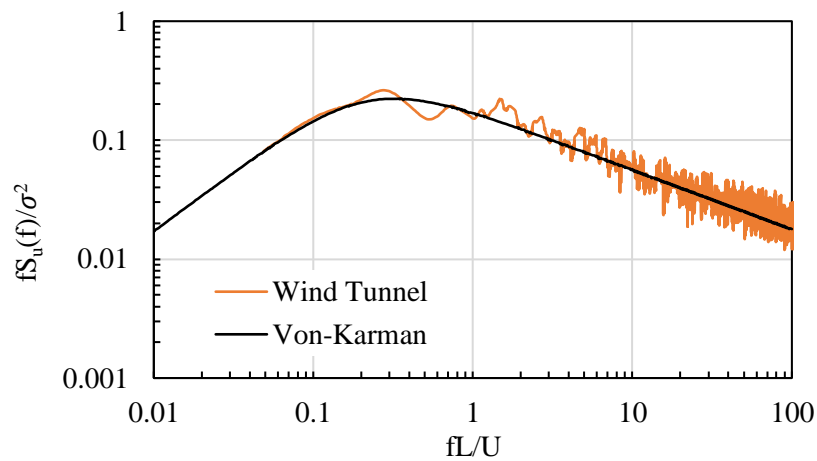


Figure 6: A comparison of the wind tunnel simulated velocity spectrum vs the theoretical von-Karman spectrum

234 3. NUMERICAL SIMULATION SETUP

235 3.1. Geometry and Domain Creation

236 Similar to the experimental setup, a 1:300 scale was adopted in the computational domain where the
237 building was assumed to be rigid. A rectangular enclosure was deemed suitable for the domain, where
238 the size was chosen by performing a parametric study. The domain lengths in the along-wind direction
239 (X-direction), crosswind direction (Z-direction) and height (Y-direction) are 13H, 6H and 3H,
240 respectively, where H is the building height (Figure 7). These limits are reasonably smaller than what
241 has been proposed by Franke et al. [14]. The distance from the building to the outlet was the key
242 parameter in selecting the domain size as this length should be sufficient to capture the wake region
243 behind the building. Furthermore, the recommended blockage ratio, which is the ratio of
244 frontal/projected/cross-section area upon the cross-section area of the test section, should be less than
245 5% to minimise interaction from the boundaries [36, 37]. The calculated blockage ratio for this particular
246 setup was less than 1%, which is well within the recommended value. Therefore, the domain size used
247 in this study satisfies the conditions required to avoid unnecessary distortion of flow. The interference
248 effect of the domain walls on the flow field around a model is known to be one of the main sources of
249 error affecting the accuracy of numerical data. The boundaries that influence the flow field along the
250 building height are the two sides and the top. Also, the streamlines around the building, which are closer
251 to the wall, are constrained and the flow velocity increases, hence affecting the aerodynamic
252 coefficients. Alteration of streamlines also leads to a change of vortex reattachment and intensity on the
253 leeward side and wake. This is a deviation from the free stream air flow encountered in the natural
254 condition. The symmetry condition with no shear stress applied from the boundary used in CFD
255 replicates values and properties of the air flow, similar to a free stream flow. However, even with such
256 settings, the boundaries need to be at predetermined distances that will not cause artificial acceleration
257 of the surrounding air flow due to its proximity to the building.

258 The distance between the outlet and the building must also be maintained at a given limit to ensure that
259 it has enough space to create the wake region behind the building. An inadequate space behind the

260 building can cause non-convergence of the CFD analysis due to the creation of reverse flow. A distance
 261 of $10H$ is provided on the leeward side of the building between the building and the outlet. The space
 262 above the building should be large enough to have no influence on flow separation and reattachment at
 263 the back end of the building. A height of $3H$ from the top of the building to the top surface of the domain
 264 was provided.

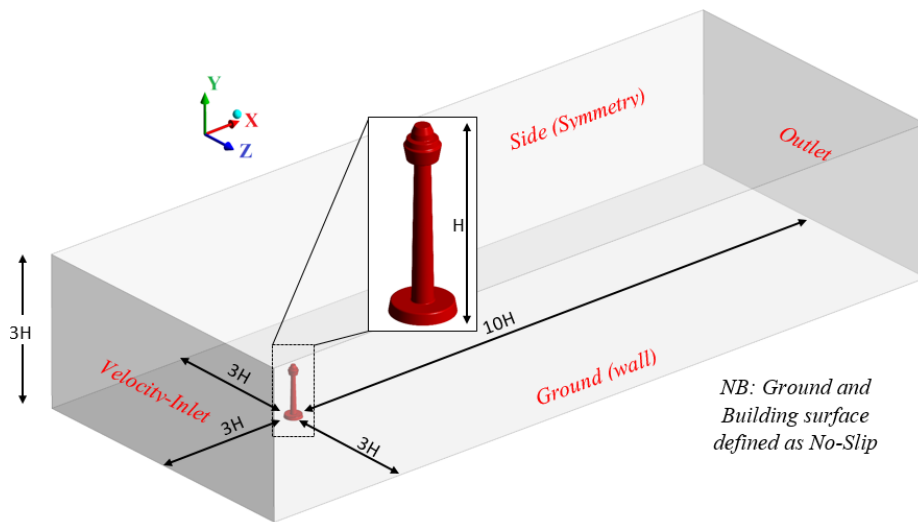


Figure 7: Computational domain size and arrangement of boundaries (the top and sides are defined as symmetrical boundaries)

265 3.2. Mesh Generation

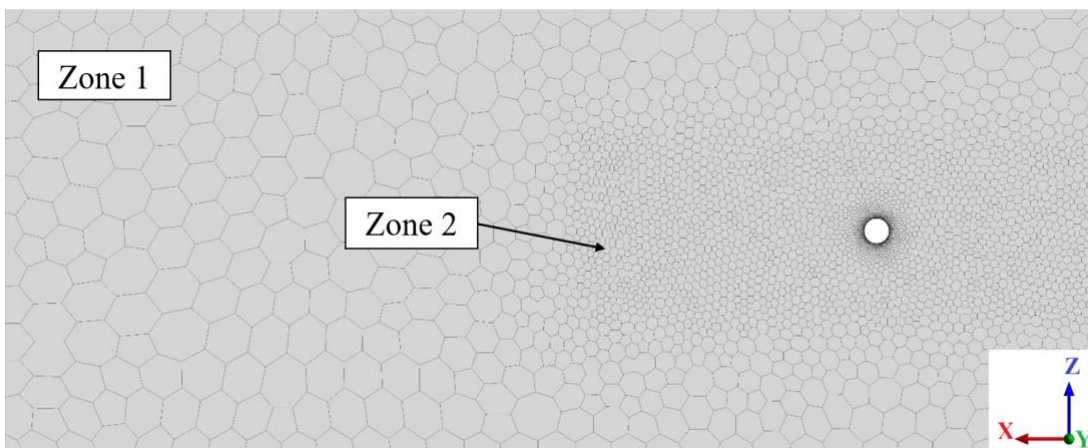
266 The mesh consists of polyhedral cells, where two refinement zones were given within the volume mesh,
 267 including structured face meshing on the surface of the building and an inflation layer, namely zones 2
 268 and 3 (Figure 8a & b). The main purpose of refinement zone 2 (Figure 8a & b) was to ensure that the
 269 inlet has an adequate number of cells within the height of the building to generate a sufficient amount
 270 of data points which facilitates accurate input and propagation of the velocity profile. Thus, its
 271 longitudinal distance was extended from the inlet to the building, and further downstream by an
 272 additional $3H$. This extended length downstream further enhances the capability to capture the flow
 273 behaviour behind the building. The mesh size of refinement zone 3 (Figure 8b) was much finer than
 274 zone 2 and located closer to the building. It was defined as a circular cylinder larger than the base
 275 diameter of the building. A fine refinement region close to the building can capture the necessary
 276 complex flow behaviour around it. Zone 1 was described as the global volume mesh zone, where larger

277 sizing for the grid was defined at regions further away from the building location. A lower resolution of
278 cells can be employed here as these volume cells are redundant in order to capture the flow and instead
279 serves to maintain continuity within the domain.

280 The surface mesh of the building is shown in Figure 8c and the inflation layers defined at the surface
281 are shown in Figure 8d. The number of inflation layers and the first cell height are two important
282 parameters that help in capturing the viscous sub-layer flows at the wall boundary. A simple steady
283 RANS (SRANS) model can be used to measure the y^+ at the surface of the building. Figure 9 shows a
284 scatter plot of the y^+ measured on the surface of the building on its along-wind and crosswind directions.
285 Both Franke et al. [14] and Tominaga et al. [37] recommend the use of prismatic cells in the inflation
286 layers. However, the required number of layers, growth rate, and first cell height are problem-specific.
287 For this study, twenty layers of inflation were given at a growth rate of 1.15, which was sufficient to
288 capture the boundary layer flow on the surface of the building. Furthermore, a y^+ of less than 1 ($y^+ <$
289 1) was required to accurately determine the separation point of the flow at the wall of the building.

290 Five separate mesh configurations were studied for grid independency, consisting of very coarse, coarse,
291 medium, fine and very fine mesh configurations (named as M1, M2, M3, M4, M5 (Figure 10)). Table 1
292 contains the properties of the five different mesh types. The accuracy of the results produced by the five
293 mesh regimes are presented in Section 4.1 where a comparison is conducted between them.

294



(a)

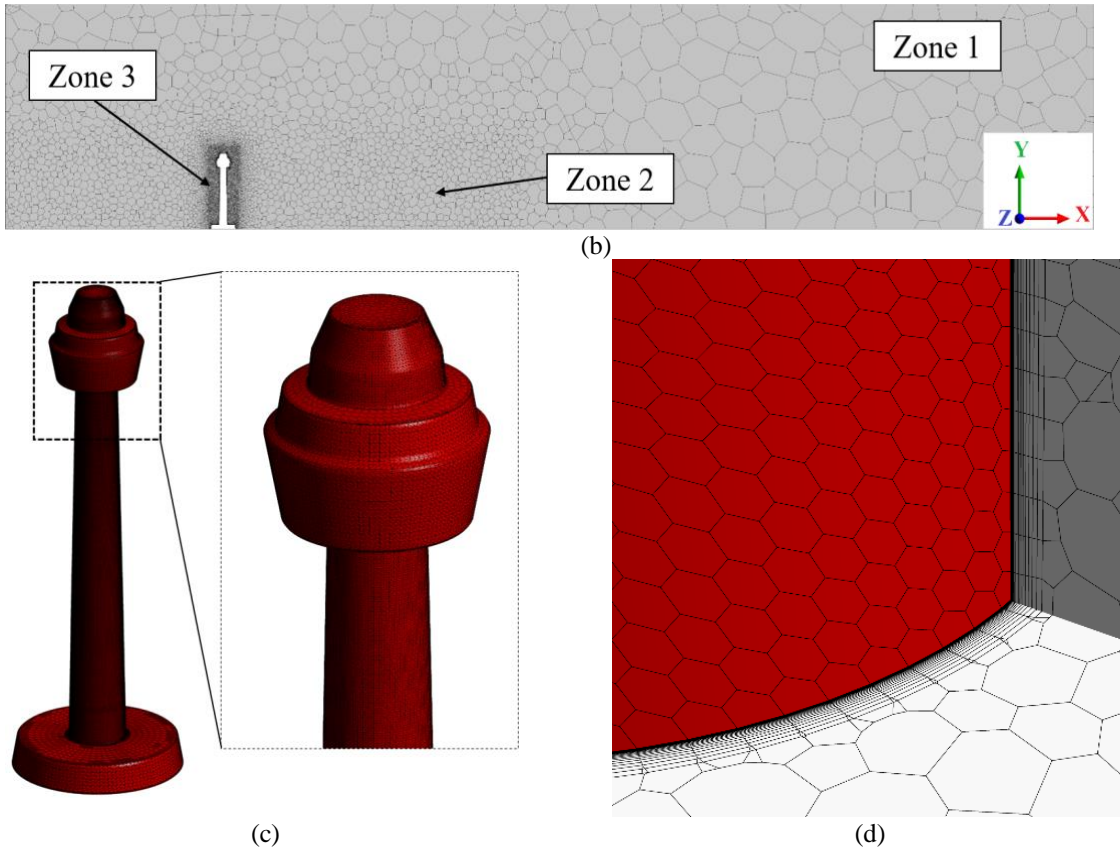


Figure 8: Polyhedral mesh for the numerical simulation (a) shows the top view of the ground mesh, (b) shows the side elevation view of the mesh cut at a plane $z = 0$, (c) close-up view of the building and mesh, (d) close-up of building surface mesh and depiction of inflation layers on the building

295

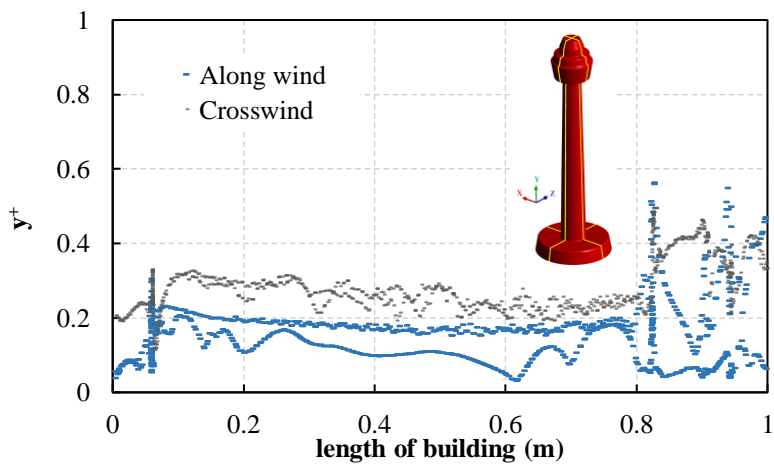


Figure 9: y^+ on the building surface on the along-wind and crosswind directions

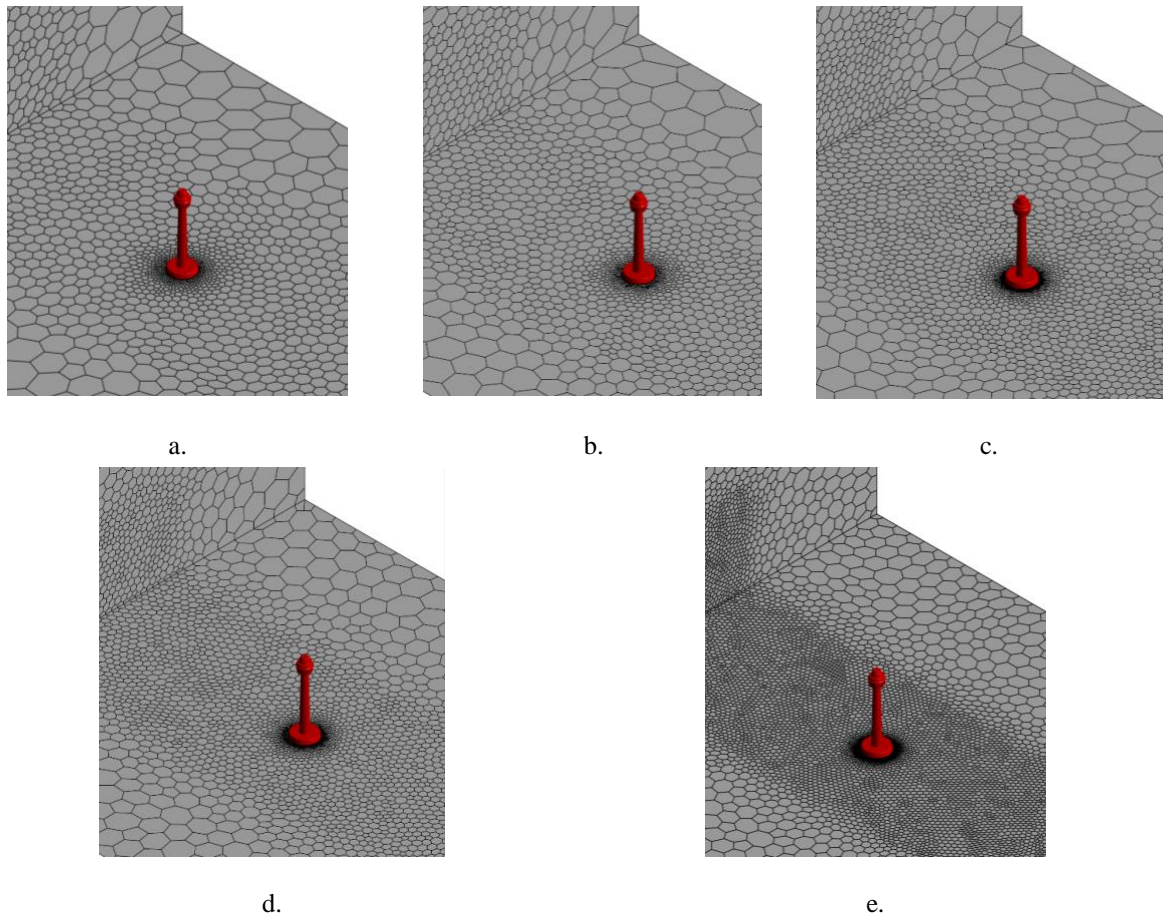


Figure 10: Close-up view of mesh regimes on the ground surface and inlet for: (a) M1, (b) M2, (c) M3, (d) M4, (e) M5

Table 1: Mesh regime properties

Properties	M1	M2	M3	M4	M5
Zone 1, Volume mesh size (m)	0.5	0.5	0.4	0.3	0.2
Zone 2 size (m)	0.15	0.125	0.1	0.085	0.06
Zone 3 size (m)	0.02	0.0125	0.01	0.0085	0.006
Inflation layers	10	20	20	20	20
Building surface mesh divisions	40	40	60	70	80
Total elements	0.6 m	1.2 m	1.9 m	2.4 m	3.0 m

296 3.3. Turbulence Modelling and Settings

297 There are six turbulence models available in ANSYS Fluent that are each suited to different applications
 298 depending on the nature of the problem. They are mainly categorised into Reynolds- Average-Navier-
 299 Stokes (RANS) models, direct numerical simulation (DNS) and large eddy simulation (LES). Using
 300 RANS models, statistically steady solutions of flow variables are determined by averaging the equations
 301 over time and over all turbulent scales. DNS involves using very fine computational grid elements to
 302 directly solve the Navier-Stokes equations to predict relatively accurate turbulent flows. In the LES

303 method, Navier-Stokes equations are spatially filtered such that only the large-scale flow variables are
 304 directly solved, while smaller eddies are not directly predicted. In this study, where a computational
 305 time-efficient method was a focus, RANS models are considered as they are relatively easy to employ
 306 and generally provide credible results within a reasonable timeframe. Time efficiency is a concern in
 307 regular design office problems, therefore a two-equation RANS model is mostly preferred where time
 308 averaging simulations (SRANS) are employed. The most prominently used RANS model is a two-
 309 equation standard $k - \varepsilon$ (SKE) model [38], which is always the starting point of many computational
 310 wind engineering (CWE) problems.

311 In this study, three different turbulence models were compared, namely the realisable $k - \varepsilon$ (RKE)
 312 model developed by Shih et al. [39], the $k - \omega$ turbulence model developed by Wilcox [40] and its shear
 313 stress transport (SST) variant, $k - \omega$ SST [41]. Finally, the four-equation transition SST model
 314 developed by Menter et al. and Langtry et al. [42, 43] was used. This model is computationally
 315 demanding when compared to the two-equation models. The differences of mesh resolution near the
 316 wall are displayed in Figure 11, where the different near-wall mesh treatments for $k - \varepsilon$ models and
 317 $k - \omega$ models could be found from the left to the right, and y_p is the distance from the wall to the
 318 adjacent layer. The dimensionless wall distance y^+ , as defined in Eq. 4, was introduced to evaluate the
 319 grid resolution near the wall:

$$y^+ = \frac{u_\tau y_p}{\nu} \quad \text{Eq. 4}$$

320 where u_τ is the friction velocity based on wall shear stress and air density, and ν is the kinematic
 321 viscosity.

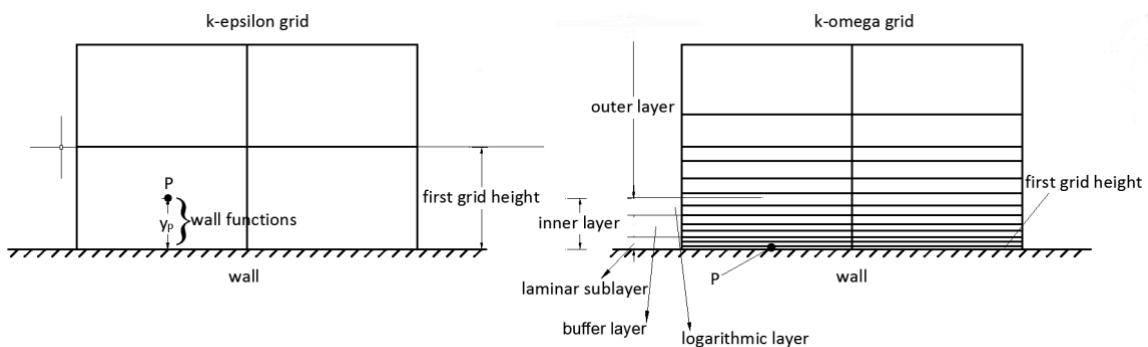


Figure 11: Schematic representation of near-wall mesh for $k - \varepsilon$ and $k - \omega$ models

322 The $k - \varepsilon$ realisable model was employed with three different wall function settings. First, the standard
323 wall function (SWF) approach was employed where the default mesh was modified in order for the y^+
324 value to be in the range of 30 to 100. This change was made because it is known that in ANSYS Fluent
325 the boundary layer is broken down into two layers, an inner layer and an outer layer, as shown in Figure
326 11. The inner layer is composed of three parts, a laminar layer, a buffer layer and a logarithmic layer.
327 The laminar sub-layer and buffer layer are defined as having a $y^* < 11.225$, and the log region is
328 defined by $y^* > 11.225$ where the standard wall functions are active and work best when $30 < y^+ <$
329 300 [44]. y^* is an alternative definition of the dimensionless wall distance and is defined in Eq. 5,

$$y^* = \frac{u_{\tau}^* y_P}{\nu} \quad \text{Eq. 5}$$

330 where u_{τ}^* is the friction velocity based on the turbulent kinetic energy k_P in the wall-adjacent cell centre
331 point P and on the constant C_{μ} which is taken as 0.09 [44].

332 Resolving the laminar sub-layer flow is essential to accurately depict the point of flow separation at the
333 surface of the body. Hence, the use of wall functions may not be suitable for flows concerning circular
334 cylinders. It is understood that wall functions are employed for cases where separation of flow is not to
335 be expected and to save computational effort by providing a relatively large inflation layer at the face
336 of the wall. For most industrial flows and novice users of CFD, a combination of a $k - \varepsilon$ turbulent
337 model coupled with standard wall functions is employed.

338 Secondly, a $k - \varepsilon$ realisable model with standard wall functions option was used where $y^+ < 1$. At such
339 a low y^+ , the laminar stress relationship is employed in ANSYS Fluent where $y^* = U^*$ is active at the
340 boundary layer, thus overruling the use of wall functions [44].

341 Finally, a second $k - \varepsilon$ realisable model is employed with the default mesh where $y^+ < 1$, but using
342 the enhanced wall treatment option in ANSYS Fluent. The enhanced wall treatment combines the two-
343 layer model with enhanced wall functions with the help of a blending function in order to smoothly
344 transition from resolving the laminar sub-layer to the turbulent region based on a calculated turbulent
345 Reynolds number [44]. A second-order upwind scheme was used for the spatial discretisation of the
346 turbulent kinetic energy and momentum, and turbulent dissipation rate transport equations. Also,

347 second-order discretisation was used for pressure. The algorithm used for the pressure-velocity coupling
348 was the Semi-Implicit Method for Pressure-Linked Equations - Consistent (SIMPLEC).

349 Solution convergence is one of the most important criteria that needs to be addressed in CFD
350 simulations. Convergence of the solution plays a major role in the final result of the simulation in fact
351 the low convergence criteria can inhibit the accuracy of the final result.

352 Both Franke et al. and Tominaga [14, 37] have stated that a default CFD code convergence limit of
353 0.001 is lenient in order to achieve a converged solution. Blocken [36] acknowledged the default 0.001
354 convergence criteria to be inadequate and recommended that steady state simulations have to be carried
355 out until the scaled residuals taper out to have a zero gradient. In this study, a different approach was
356 adopted to determine if the solution has converged by meeting the following criteria: (1) monitor drag
357 coefficient of the building where the simulation is run until no significant change in the value is observed
358 over iterations; (2) residual scales to taper to a constant value, adhering to Blocken's recommendation
359 as stated above; (3) convergence of scaled residuals of X, Y, Z momentum to 10^{-6} , continuity 10^{-6}
360 and k, ω & ε to 10^{-5} .

361 For steady state simulations, one assumes the solution is to be steady after a number of iterations.
362 Monitoring of drag coefficient till it achieves a constant value was the method adopted to determine the
363 convergence of the solution. It was found that a steady value for the drag coefficient was reached when
364 the scaled residuals reached a constant steady value. The limits of convergence criteria mentioned above
365 in point (3) were imposed after it was observed that there were many simulations where criteria 1 and 2
366 were satisfied but the scaled residuals were below these limits. These stated limits were also
367 implemented into the simulation such that a definitive end can be achieved without user interference.

368 It must be noted that the imposed limits of the scaled residuals (limits for momentum, continuity and
369 k, ω & ε) are problem-specific and factors such as domain size, grid size and blockage ratio all contribute
370 in achieving convergence [14, 36, 37].

371 **3.4. Inlet and Boundary Conditions**

372 Comparisons between wind tunnel testing and CFD can only be made if the same experimental
373 conditions are replicated within the computational domain. Inflow boundary condition is the most
374 important as it defines the wind velocity and the turbulence profiles at the inlet, which need to match
375 with those implemented in the wind tunnel experiments. The inflow velocity, $U(z)$, is defined as a
376 logarithmic profile as shown in Eq. 6:

$$U(z) = \frac{u_\tau}{\kappa_{ke}} \ln\left(\frac{z + z_o}{z_o}\right) \quad \text{Eq. 6}$$

377 where u_τ is the friction velocity, z_o is the roughness height measured in the experimental scale, and κ_{ke}
378 is the von Karman constant which is assumed to be 0.42 for all applications of the $k - \varepsilon$ model. The
379 turbulence at the inlet was defined by calculating the kinetic energy as given in Eq. 7 [37]

$$k(z) = a(\bar{U}(z)I_u(z))^2 \quad \text{Eq. 7}$$

380 where $\bar{U}(z)$ is the mean speed, $I_u(z)$ is the turbulence measured from the experiment, and “ a ” takes a
381 value of 1.5 as isotropic turbulence is assumed. The turbulence dissipation rate and specific dissipation
382 rate is as given in Eq. 8 and Eq. 9, where C_μ is a model constant and is taken as 0.09 [45, 46].

$$\varepsilon = \frac{u_\tau^3}{\kappa_{ke}z} \quad \text{Eq. 8}$$

$$\omega = \frac{\varepsilon}{kC_\mu} \quad \text{Eq. 9}$$

383 Also, a surface roughness at the ground is given on the basis of the relationship of sand grain height (k_s)
384 and roughness length relationship. It is as given in Eq. 10 [47], where c_s is known as the roughness
385 constant and takes a value between 0.5 and 1. The provided surface roughness and the resulting
386 calculated sand grain height ensures that the first cell height is larger than this value, as required in
387 ANSYS Fluent [44].

$$k_s = \frac{9.793z_o}{c_s} \quad \text{Eq. 10}$$

388 A change in velocity profile and turbulence intensity is to be expected downstream, and the difference
389 in change can be ignored if they are relatively small at the building location [47]. A series of preliminary
390 simulations was carried out in an empty domain consisting of the same mesh arrangement as that defined

391 as M3. The profiles were obtained at the building location and compared with the wind tunnel and
392 AS 1170.2 predictions. Figure 12 shows a comparison between the experimental velocity profile, the
393 input velocity profile measured at the inlet, the velocity profile downstream at the building location and
394 the extrapolated terrain category 2 profile. Figure 12a shows the velocity profile comparisons, where
395 the X and Y axes measure normalised velocity and height (with regard to a reference height of 1 m),
396 respectively.

397 As can be seen, the difference between the profiles measured at the building location are minimal, where
398 only some minor discrepancies were observed at the bottom of the structure, which can be ignored,
399 especially in the analysis of super-tall buildings. Also, Figure 12b shows the turbulence intensity profile
400 where the X and Y axes measure turbulence intensity against the normalised height (at reference). The
401 comparison between the turbulence intensity of terrain category 2 from AS 1170.2 and that used in the
402 inlet show good correlation between them. The surface roughness plays an important role in the
403 propagation of the inlet conditions. Whilst roughness is achieved by the placement of blocks in the wind
404 tunnel (trial and error), for CFD a surface roughness needs to be defined as mentioned before. In this
405 study, much like the wind tunnel, the roughness height (z_o) was initially estimated to be 7×10^{-5}
406 (derived from scaling down real roughness height 0.02 m for terrain category 2) and roughness
407 constant, $c_s = 1$. Trial and error procedure within the empty wind domain was used for fine adjustment
408 of roughness parameter especially in matching the turbulence intensity profile at the target building
409 location.

410

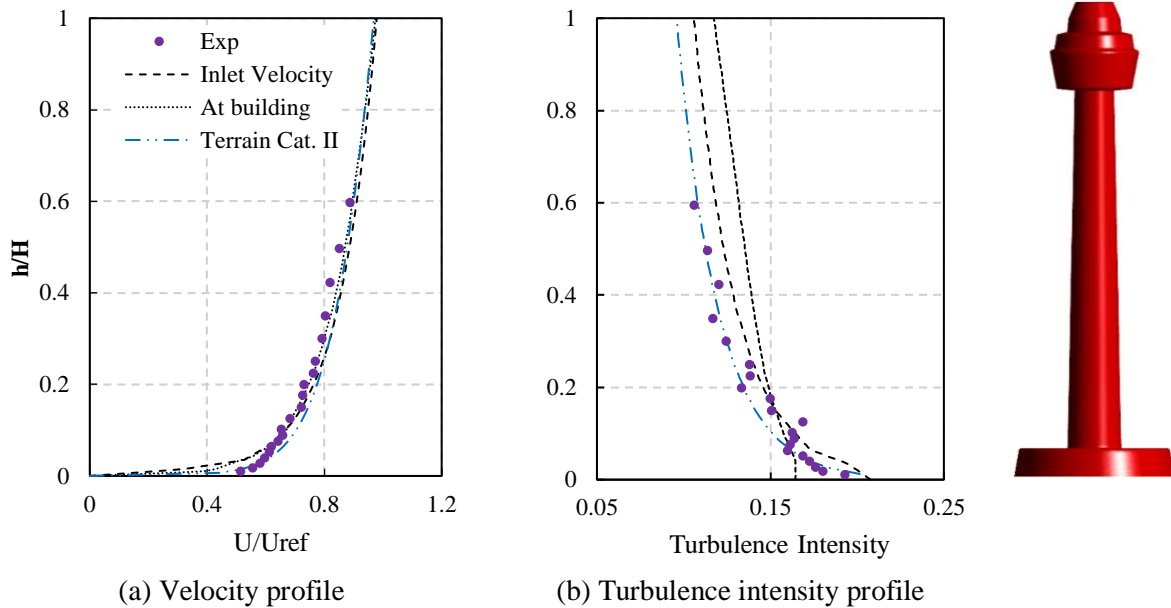


Figure 12: A comparison of profiles measured numerically (inlet and building location), in the wind tunnel and AS/NZS 1170.2:2011

411 As a summary, the boundary conditions were defined as follows: (a) ground surface defined as rough-
 412 no slip wall, (b) the inlet with the abovementioned boundary profiles, (c) the sides and top are defined
 413 as symmetry conditions, (d) the outlet as a pressure outlet with zero gauge pressure and the building
 414 surface defined as a no slip wall.

415 4. RESULTS AND DISCUSSIONS

416 4.1. Grid Sensitivity Analysis

417 A grid sensitivity analysis was performed in order to obtain an optimal grid size using the SRANS $k -$
 418 ωSST turbulence model. This eliminated discretisation errors in providing a coarse mesh, and also
 419 reduced the computational time in providing an undesirable finer mesh. Five mesh sizes were studied
 420 and the mesh properties are given in Section 3.2. The pressure coefficient (C_{pe}) variation along the
 421 height of the building for the different mesh arrangements are displayed in Figure 13 for windward,
 422 leeward and crosswind faces. As observed from Figure 13a, for all mesh configurations the windward
 423 pressures are almost identical with minor differences. However at leeward (Figure 13b) and crosswind
 424 (Figure 13c) faces the discrepancy of the very coarse mesh, M1, is apparent. In comparison to the other
 425 configurations, the leeward pressure for M1 is over predicted and for the crosswind face under predicted

426 at regions 0.4 h/H to 0.8 h/H. To further elaborate the above point, Figure 14 shows the absolute
 427 deviation from the experimental values for the five different mesh schemes where windward, leeward,
 428 crosswind and average is shown. As it can be seen there is a notable improvement from the transition of
 429 M1 to M2 with regard to solution discrepancy. However from M2 to M5 the percentage reduction of the
 430 deviation is not significant. The difference observed in results between the M2, M3, M4 and M5 mesh
 431 configurations are insignificant. Similar observations were reported in studies conducted by Meng et
 432 al. [22] and Elshaer et al. [48] where hexahedral and polyhedral cells were used respectively. From this
 433 study and the other two studies cited previously, it can be concluded that once an optimal mesh
 434 configuration has been achieved, further refinement of the mesh has diminishing returns with regard to
 435 pressure prediction accuracy and incidentally affected the simulation time. Based on these observations,
 436 mesh scheme M3 was selected as the preferred mesh configuration for this study. M3 was used for the
 437 rest of the models discussed in this paper as it offers a balance between accuracy and computational
 438 time. A notable difference between the five mesh configurations and the wind tunnel results was
 439 observed in the leeward face. This will be discussed in detail in subsequent sections of this paper.

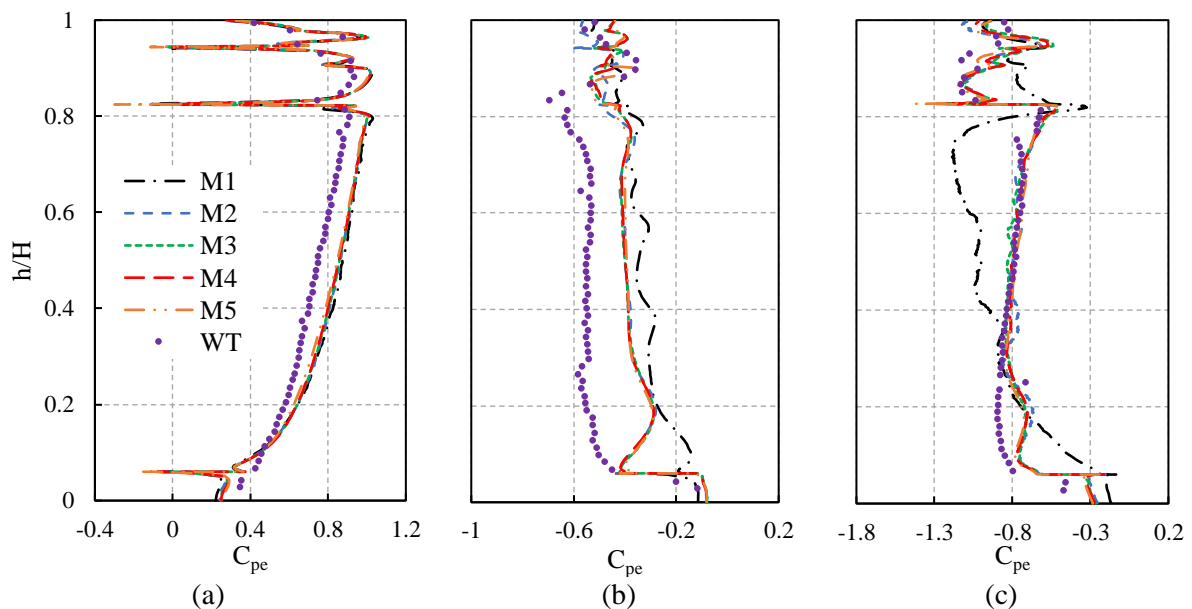


Figure 13: Results for mesh study comparisons (a) at the windward face, (b) at the leeward face, and (c) at the crosswind face

440

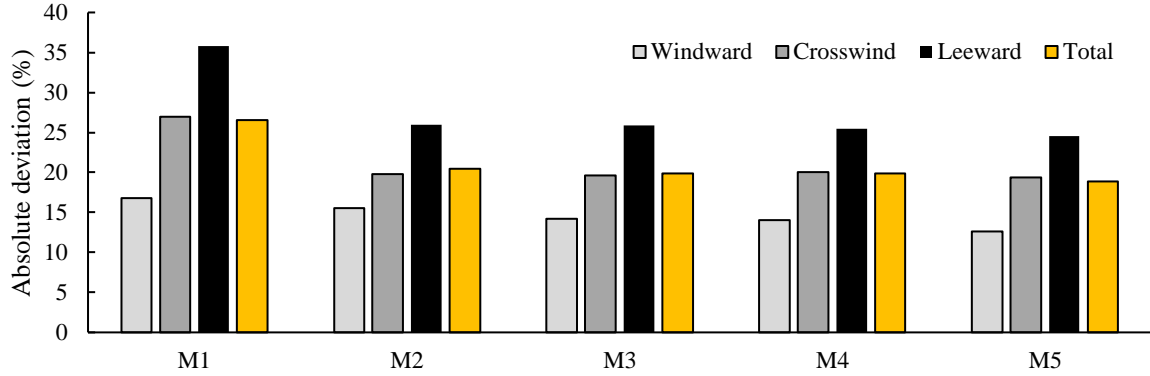


Figure 14: Absolute deviation for windward, crosswind, leeward and total pressure

441 **4.2. Influence of the Turbulence Model**

442 **4.2.1. Windward, Leeward and Crosswind Pressures**

443 As mentioned in Section 3.3, the three turbulence models selected for this study were: realisable $k - \varepsilon$,
 444 $k - \omega SST$ and the four-equation transition SST . The realisable $k - \varepsilon$ model was tested for three
 445 different wall functions. Practical applications of CFD are still constrained to RANS turbulence
 446 modeling. Hence, these models were selected due to their ability to model flow within a reasonable time
 447 frame. The performance of three different turbulence models were compared with the wind tunnel test
 448 results based on the pressure coefficients obtained on the surface of the building. It must be noted that
 449 all turbulence models were run on the default M3 mesh with the exception of the $k - \varepsilon$ with standard
 450 wall function case where y^+ was modified. Table 2 shows the abbreviated terms used for the different
 451 test cases used for the turbulence modelling comparison and in the discussions to follow.

Table 2: Classification of turbulence models

Turbulence Model	$k - \omega SST$	<i>Transition SST</i>	$k - \varepsilon$ <i>Realisable</i> (SWF $y^+ > 30$)	$k - \varepsilon$ <i>Realisable</i> (SWF $y^+ < 1$)	$k - \varepsilon$ <i>Realisable</i> (EWT)
Abbreviation	TM1	TM2	TM3	TM4	TM5

452

453 Figure 15a to c show the variation of C_{pe} along the height of the building for windward, leeward and
 454 crosswind faces, respectively. The CFD results are compared with the experimental values obtained

455 from the boundary layer wind tunnel tests (referred to as “WT”) where a free stream velocity of 12 m/s
456 is considered.

457 Figure 15a displays the results on the windward face of the building and shows that all model types
458 over-predict pressure coefficients. It must be noted that the over-prediction of the C_{pe} in TM3, TM4 and
459 TM5 is higher than that in TM1 and TM2. However, the general pattern of variation is consistent in
460 comparison to the wind tunnel flow results where the prediction of TM1 and TM2 fall closest to that of
461 wind tunnel results.

462 For the leeward face (Figure 15b), the difference between the experimental and computational values
463 are quite large when compared to the windward face. All models capture the pressure distribution
464 pattern over the height of the building well where the TM1 model is the closest to the experimental
465 values, closely followed by TM2. The deviation of results for the $k - \varepsilon$ type model from the wind tunnel
466 results, especially in the case where TM3 is observed. TM3 has large deviations, by almost three times,
467 in comparison to the experimental values. This is because the use of standard wall functions, with $y^+ >$
468 30, has rendered the flow to be fully turbulent thus ignoring the viscous sublayer flow. Furthermore the
469 computation of eddy viscosity for realizable $k - \varepsilon$ are different to that of the $k - \omega SST$. The $k - \omega SST$
470 model not only includes a damping coefficient to transition to low-Reynolds number formulation but
471 also account for the transport of turbulence shear stress [41, 44]. This improves its ability to predict
472 flows where adverse pressure gradients are to be expected [41]. The difference between TM4 and TM5
473 are relatively small along the height of the building, with TM4 predicting slightly closer pressure values
474 than TM5.

475 At the crosswind face (Figure 15c), TM1 showed the closest pressure predictions to those of the
476 experimental values. The results for TM1 show almost identical behaviour and predictions both from
477 the values and trends of the C_{pe} variation. The variation of the TM2 model is comparable to the
478 experimental values, albeit under-predicting pressures at the shaft of the building. TM3 and TM5
479 severely under-predict pressure values, with the former showing the largest deviation. However, the
480 TM4 model seems to give the closest prediction among the $k - \varepsilon$ type models with predictions of both
481 C_{pe} variation and values along the height of the building.

482 The wind pressure contours for the tower is displayed in Figure 16. At the windward surface (Figure
 483 16a) it is clear that the maximum pressure occurs at the bulb of the structure which is roughly at a height
 484 of 0.85 H. Further along the height of the structure, maximum pressure region diminishes to zero and
 485 shifts to negative pressures as the wind detaches at the apex. Also the pressure on the windward face
 486 slowly decreases on its sides as observed from the contour bands and transitions to negative values at
 487 the crosswind face (Figure 16c). Large suction pressures, especially at the bulb, are observed that are
 488 higher than the windward pressures where absolute values are considered. The accelerating fluid around
 489 the structure causes the positive pressure to transition to negative suction pressures as the flow passes
 490 from windward to crosswind face. This is clearly visible by the contour bands in both Figure 16a & c.
 491 A peak negative pressure is observed at the crosswind face where it diminishes as the flow reaches the
 492 leeward face. These observations are consistent with previous work by Roshko and Achenbach [7, 8]
 493 for circular cylinders. At the leeward face the pressures are negative due to the flows inability to fully
 494 recover and are as observed Figure 16b. It can be seen that the bulb of the building accumulates the
 495 largest pressures and is the most critical where local pressures are concerned.
 496 The following sections will delve deeply into causations of the pressure discrepancies observed for the
 497 different turbulence models used in this study.

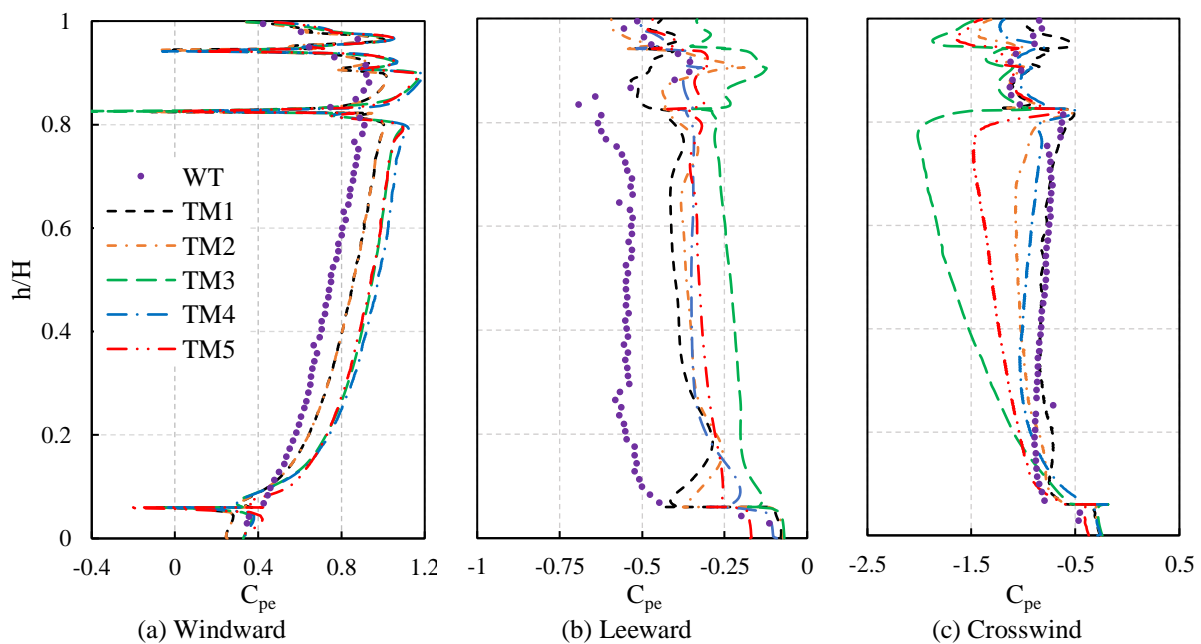


Figure 15: Pressure distribution comparisons for different turbulence models

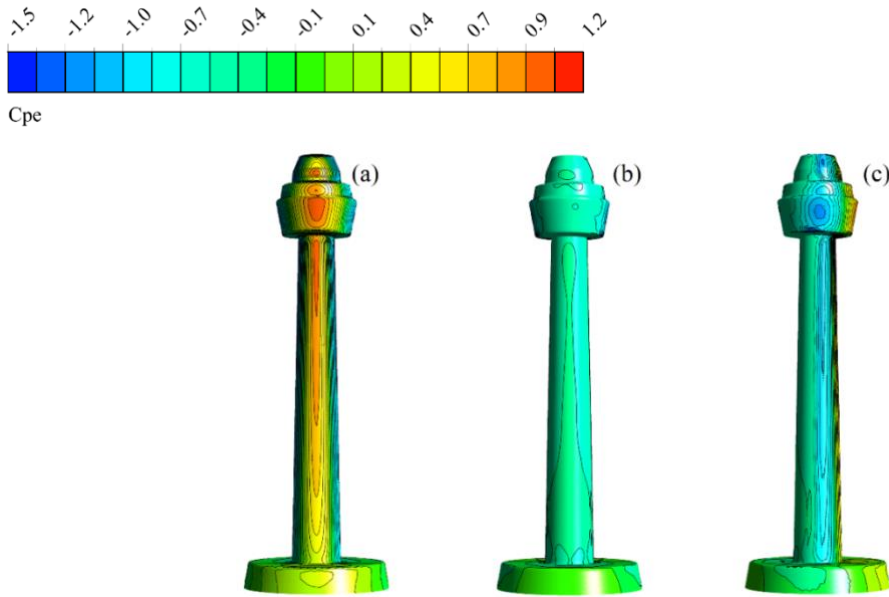


Figure 16: Mean C_{pe} distribution for TM1 model, (a) Windward face, (b) Leeward face (c) Crosswind face

498 **4.2.2. Flow Separation Point**

499 Where circular cross-sections are concerned, surface pressure measurements are highly reliant on the
500 surface boundary flow. The point of separation of the flow needs to be accurately determined in order
501 to correctly predict pressures on the surfaces of a building. Unlike square cylinders, circular cylinders
502 do not have sharp edges which advocate the separation of flow around the body. Flow separation that
503 occurs on a circular cylinder is due to the combination of the fluid's viscous forces, shape, and the
504 adverse pressure gradient experienced. The boundary layer flow or momentum of the fluid is reduced
505 to zero, which then creates a reverse flow at the surface of the body. The location at which this boundary
506 layer flow reaches zero is the point of flow separation. Figure 17 shows the flow streamline for the five
507 different turbulent model configurations at the same cross-sectional height of the tower (700 mm from
508 the ground). They show a clear depiction of the arch vortex created behind the structure as wind flows
509 past them. There is a distinguishable difference when models, TM3 (Figure 17c) and TM5 (Figure 17e),
510 are compared to the other models with regard to the size of the vortex formed. It is clear for TM3 and
511 TM5, separation of the fluid doesn't take place until the fluid has reached further downstream past the
512 crosswind face which results in the smaller vortices formed. This also results in a larger negative
513 pressure at the crosswind face and recovery pressure (less negative) at the leeward face. This observation

514 coincides well with the outcomes shown in Figure 15c where it can be seen that TM3 over predicts
 515 largest negative pressure on the crosswind face followed by TM5. Also TM3 is the largest at under
 516 predicting negative pressures on the leeward face followed by TM5. The differences of models TM1,
 517 TM2 and TM4 cannot be observed from the streamline plots alone.

518
 519 Accurate depiction of the location at which point of separation takes place is not clear from observing
 520 the arch vortex formations alone. The wall shear stress plot around the circular cylinder can give a better
 521 indication. Wall shear stress (τ_ω) is defined as the shear stress in the fluid close to the boundary wall of
 522 flow where the layer of fluid is within the boundary layer. It is calculated as given in Eq. 11, where μ is
 523 the viscosity of the fluid, U is the flow velocity parallel to the wall, and y is the perpendicular distance
 524 from the wall.

$$\tau_\omega = \mu \frac{\partial U}{\partial y} \quad \text{Eq. 11}$$

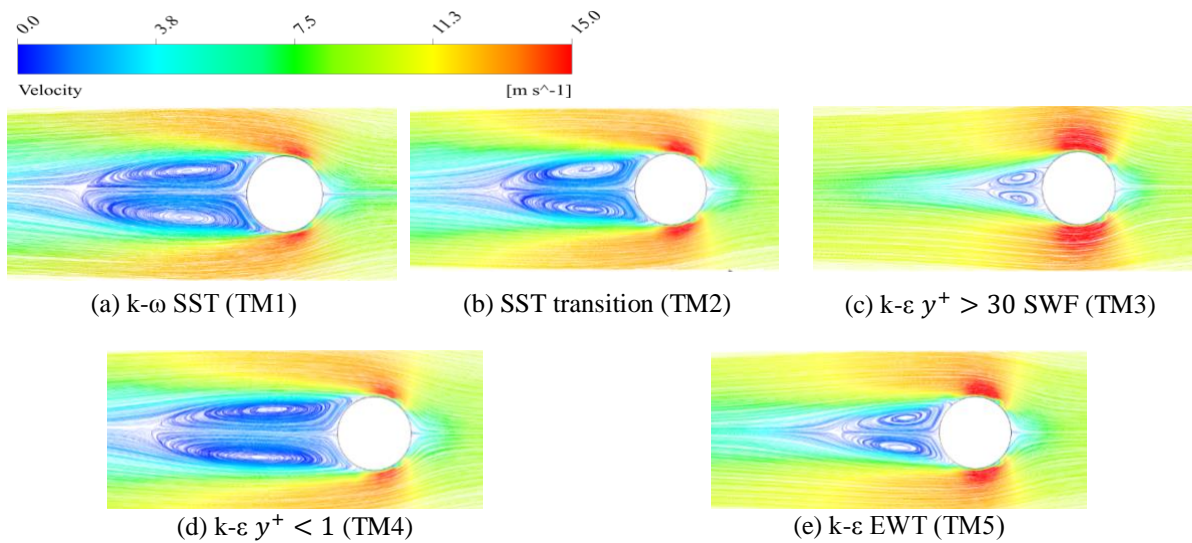


Figure 17: Velocity streamlines around the circular cross-section of the building at a height of 700 mm from the ground (located in the shaft)

525
 526 Figure 18 shows the variation of wall shear stress around the cross-section of the building at the height
 527 of 700 mm from the ground for wind angles varying from 0° to 180° . The wall shear stress starts at
 528 zero (at the windward face, 0°), which then rises to a peak and then drops to cut the x-axis where the
 529 shear stress becomes negative. The location at which this transition from a positive to negative shear
 530 stress is observed, is the point at which flow separation occurs.

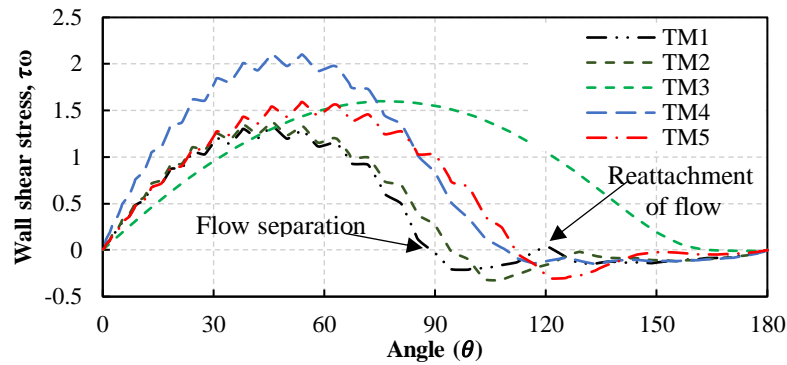


Figure 18: Plot of wall shear stress around the face of the building at 700 mm from the ground

531 From Figure 18, it is clear that TM1 has the earliest point of flow separation that occurs before the
 532 crosswind face (90°), followed by TM2, TM4, TM5, and lastly TM3. The stark differences between the
 533 SST models and the $k - \varepsilon$ type models are clear where the former undergoes flow separation at a
 534 location further upstream in comparison to the latter. Whilst the effect of this is not directly correlated
 535 with the crosswind pressure, there is an observable trend with the leeward pressures observed. The
 536 recovery of pressure at the leeward face diminishes with an earlier point of separation. This means that
 537 the earlier the separation, the lesser the recovery of pressure expected at the leeward face of the structure.

538 4.2.3. Flow Field Investigation

539 Figure 19 shows the contour plots of windward direction streamlines on a vertical plane cut through the
 540 centre of the building. It is observed for TM1 the existence of three clear circulation zones (at the top of
 541 the bulb, at the bottom of the bulb and at the base) in the wake of the structure. The circulation zones
 542 that occur at the wake, near the top, is due to the flow separation that occurs as flow passes over the
 543 bulb. This can be verified if the streamlines are carefully observed, where at the windward face of the
 544 bulb, the trajectory of the flow streams point upwards which indicates the fluid masses flowing over the
 545 building. The separation accelerates the fluid, which reduces the pressures (as observed in Figure 15) in
 546 accordance to Bernoulli's principle, and creates vortices in the wake due to the reattachment of the flow
 547 stream. As observed from Figure 19c, the wake recirculation of flow is relatively small for the realisable
 548 $k - \varepsilon$ (TM3) model in comparison to the others. Furthermore, the resolution of the wake recirculation
 549 formed is also poorly captured by the TM3 model. The small size of the wake circulation formed for

550 TM3 indicate less negative pressures which was observed in section 4.2.1 where leeward pressures were
 551 concerned. This is followed by TM5 (Figure 19e) where the circulation of flow is larger than TM3 but
 552 is marginally smaller than TM1, TM2 and TM4 (Figure 19a, b and d).

553 The SST models (TM1 and TM2) displays better detail of recirculation regions, in comparison to the
 554 $k - \epsilon$ type models, where the SST models captures three recirculation zones, as mentioned afore. The
 555 $k - \epsilon$ models vaguely represent one recirculation zone, with the one at the base being omitted. The
 556 importance of these features are accentuated when observing pressures at sensitive locations such as the
 557 bulb of the structure where many geometry changes are present.

558

559

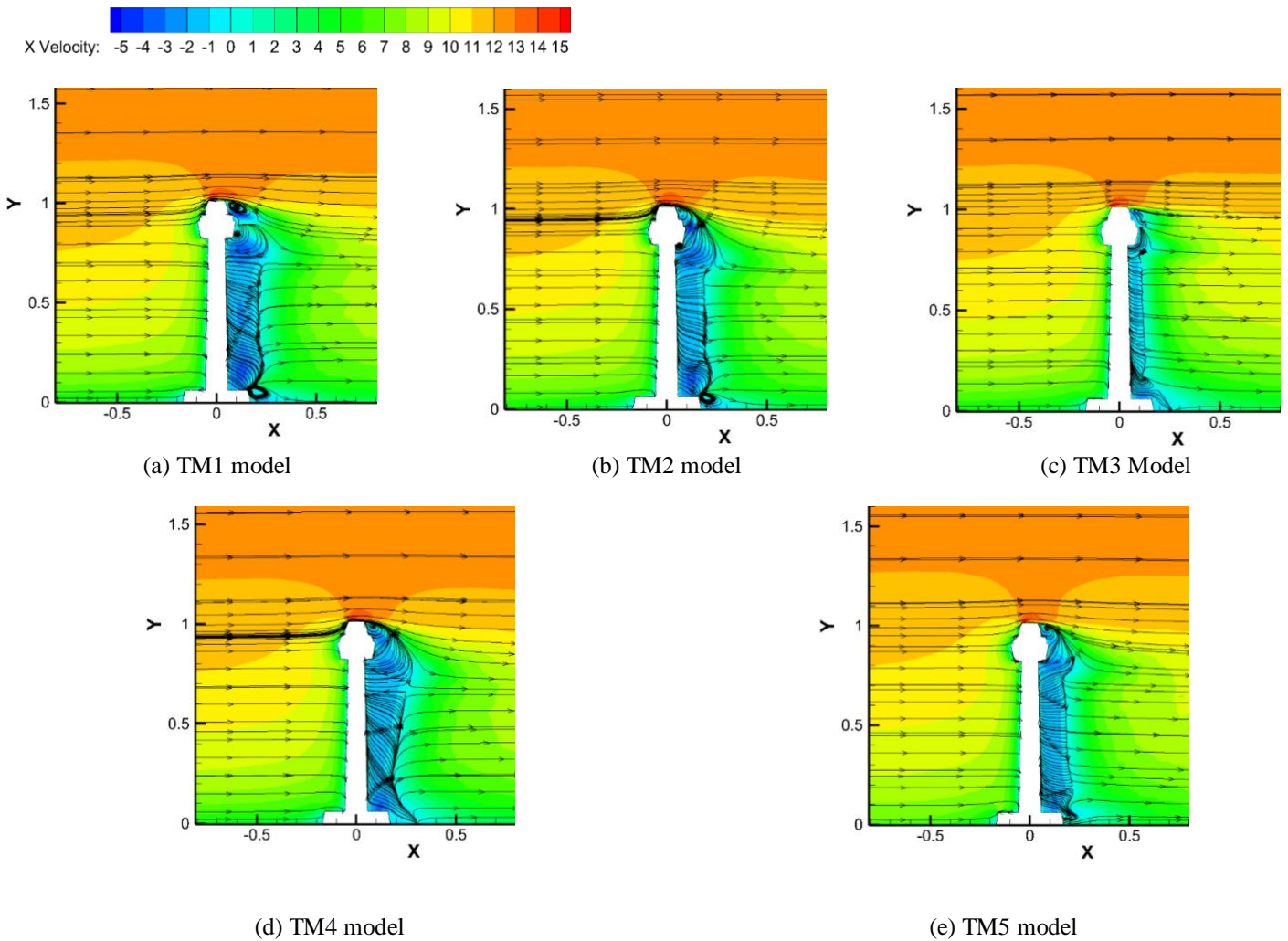


Figure 19: Contour plots of X-velocity and streamline plots at X-Y plane, Z=0

560 **4.2.4. Turbulent Kinetic Energy**

561 Over-prediction of windward pressure by the $k - \varepsilon$ type model is evident in all three variations used.
562 The difference between two types of RANS models can be visualised in Figure 20 where a comparison
563 for TM1 and TM4 is shown (for brevity) in terms of contour plots, showing the surrounding turbulent
564 kinetic energy for a side elevation of the building. The kinetic energy at the vicinity of the windward
565 face of TM4 is high compared to TM1. This increase in kinetic energy of the prevailing wind results in
566 the over prediction of windward pressures for the $k - \varepsilon$ type models. Similar development has been
567 observed by other researchers and are compatible with the observation of this study [12, 49]. Thus, the
568 over-prediction of windward pressures with the use of a $k - \varepsilon$ type model was expected, even with the
569 improved realisability constraints applied in the development of the realisable $k - \varepsilon$ model [39]. The
570 $k - \omega SST$ (TM1) model also over-predicts the windward pressure, but as mentioned before, the
571 deviation is roughly within 10% of the experimental values which is deemed to be within reasonable
572 limits.

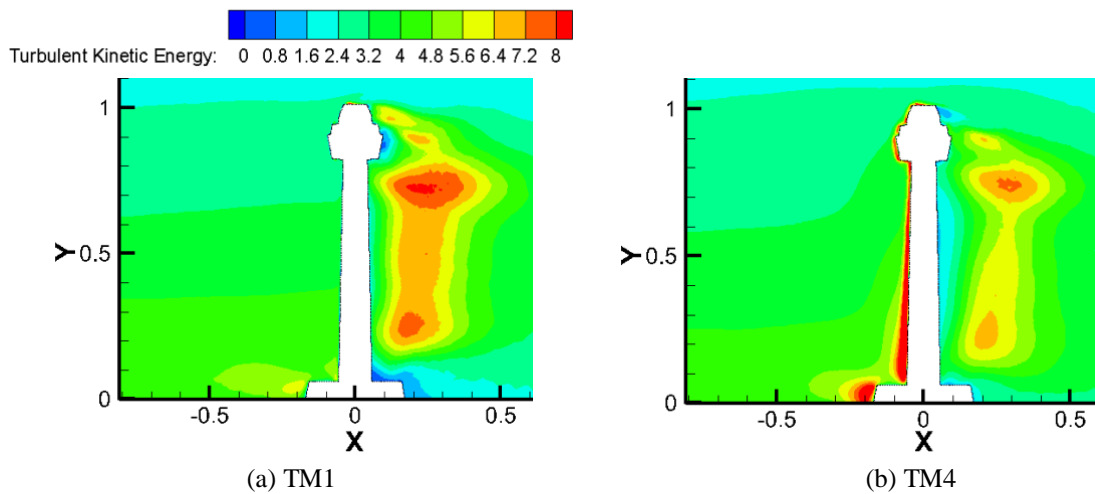


Figure 20: Kinetic energy contour plot from side elevation of the building

573 **4.2.5. Section Discussion and Improvements**

574 The consensus from this series of tests is that the $k - \omega SST$ model gives the best result of the turbulence
575 models employed. Much of this is attributed towards the ability of modelling the flow all the way up to
576 the wall where the boundary layer flow is concerned. Such stringent first cell height and mesh
577 parameters are required, especially due to the low Reynolds numbers considered for these tests. The

578 leeward pressure distribution also showed improvement with the use of the $k - \omega SST$ model. However,
579 the deviations between the experimental and CFD results for the leeward pressure is still significant. To
580 quantify the difference between the experimental (WT) and numerical (CFD) $k - \omega SST$ the Pearson
581 correlation coefficient (R) can be applied. A linear relationship between the two data sets should be
582 observed if they were to exactly match each other. Table 3 displays the correlation coefficients for all
583 three faces and as it can be observed both windward and crosswind pressure show strong correlation,
584 0.94 and 0,84 respectively. The leeward face however show a lower correlation of 0.47 in comparison
585 to the other two faces. Figure 21 displays the scatter plots for C_{pe} values for the experimental and CFD
586 simulation where a linear regression line is fitted. For the windward face (Figure 21a) a correlation (R^2)
587 of 0.88 was calculated. A high correlation of this order was expected where windward pressures were
588 concerned. For the crosswind face (Figure 21c), a moderately high correlation of 0.66 was observed.
589 However, the leeward face (Figure 21b) observed low correlation of 0.22 which indicates that a
590 significant difference between the experimental and numerical such that only 22% of the variance is
591 related to the fitted regression line.

592 From the above analysis the difference between experimental and numerical results on the leeward
593 pressure is evident. One of its main contributing cause is the used of steady state flow as this ignores the
594 unsteady inflow turbulence of the incoming flow. For bluff bodies, the pressure on the leeward face is
595 effected due to the unsteady wake formations that arise due to vortex shedding. In RANS simulations
596 deficiencies of this phenomenon have been observed [50, 51] which inherently lead to the discrepancy
597 of leeward surface pressure predictions.

Table 3: Correlation coefficient for windward, leeward and crosswind, between experimental and $k - \omega SST$

Face	Correlation Coefficient (R)	R^2
Windward	0.94	0.88
Leeward	0.47	0.22
Crosswind	0.81	0.66

598

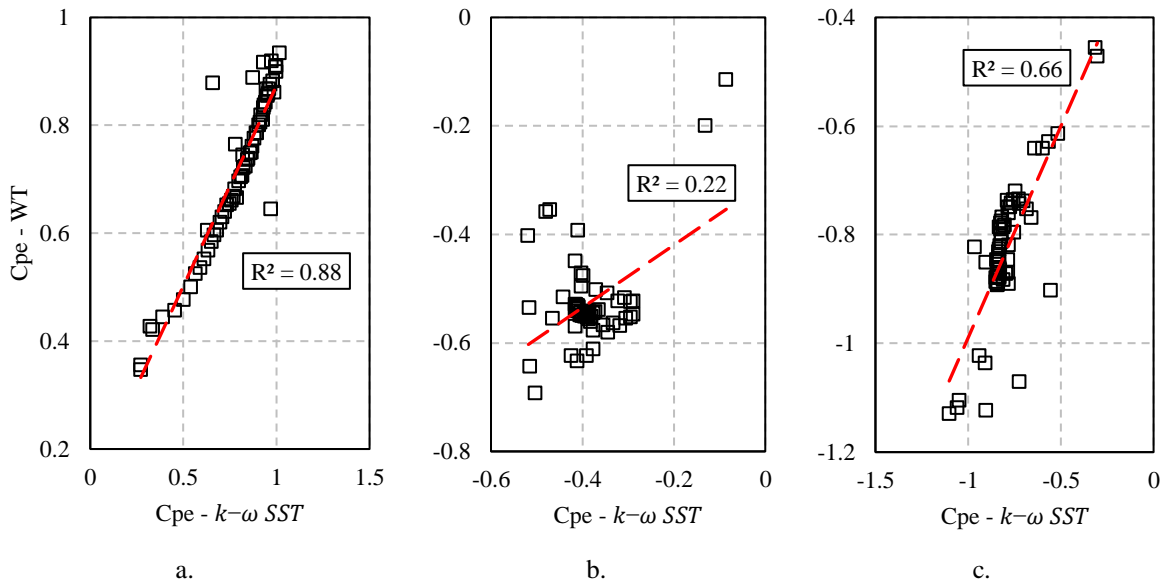


Figure 21: Comparison of $k - \omega SST$ (X-axes) and experimental (Y-axes) C_{pe} for: (a) windward face, (b) leeward face and (c) crosswind face

599 The use of a higher order turbulence model such as that of a scale resolving model can further improve
600 the pressure prediction and capture enhanced flow details that are not observable when using RANS. To
601 demonstrate this, a DDES (Delayed Detached Eddy Simulation) model is used which is a hybrid
602 RANS/LES model such that RANS is employed within the boundary layer and LES in the separated
603 region. There are many variants of the DDES model where different RANS turbulence models could be
604 applied. The $k - \omega SST$ DDES model [52, 53] was opted due to the proven capability of the $k - \omega SST$
605 in the windward and crosswind regions as shown in this study. The same mesh configuration was used
606 as that described for M3 including the inlet conditions and the mean pressure coefficients were obtained
607 after sampling for 4 seconds. Figure 22a shows the mean pressure comparison of the leeward side, Figure
608 22b shows the scatter plots of C_{pe} for the leeward pressure and Figure 22c shows the large scale
609 turbulence structures which are observable in the vicinity of the structure.

610 As observed from Figure 22a significant improvement in the leeward pressure was observed especially
611 in the region of the base and stalk of the building from heights of 0 to 0.8 h/H. The improvement in
612 leeward pressure prediction is reflected in the R^2 value of 0.454 which is has improved over that which
613 was obtained by RANS $k - \omega SST$. The discrepancies located at heights 0.8 h/H to 1 h/H result in the
614 relatively low R^2 prediction when compared to the earlier observed windward and leeward values
615 for R^2 . These discrepancies could also be eliminated through careful modelling of the mesh as the
616 requirements for scale resolved models are different to RANS. Also, the vortex structures observed

617 around the building as shown Figure 22c show important features such as vortex shedding and the
 618 horseshoe vortex at the feet of the structure.

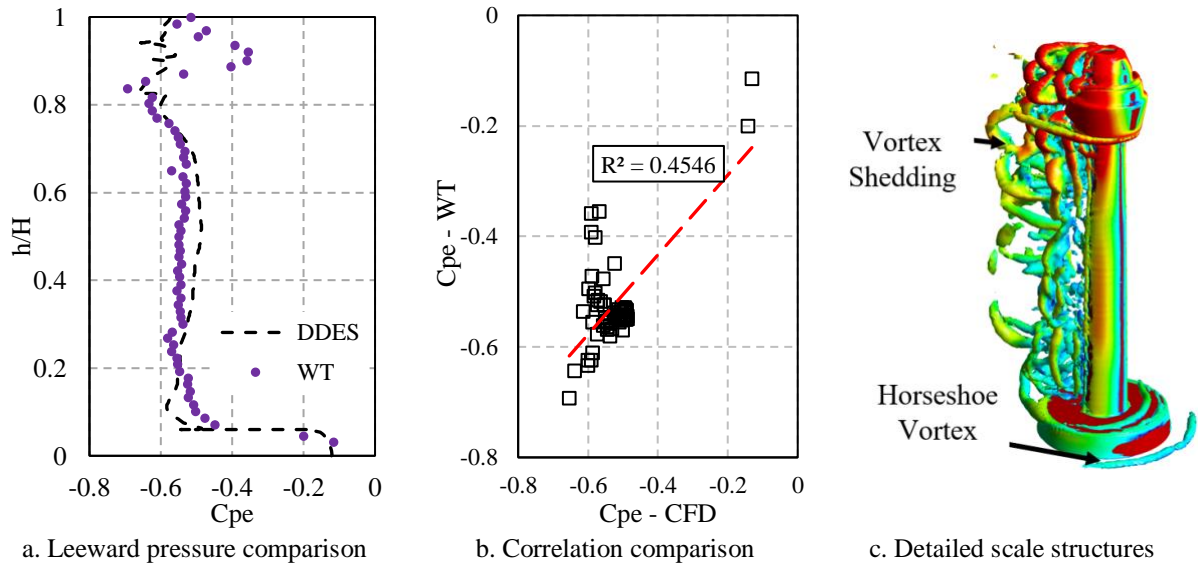
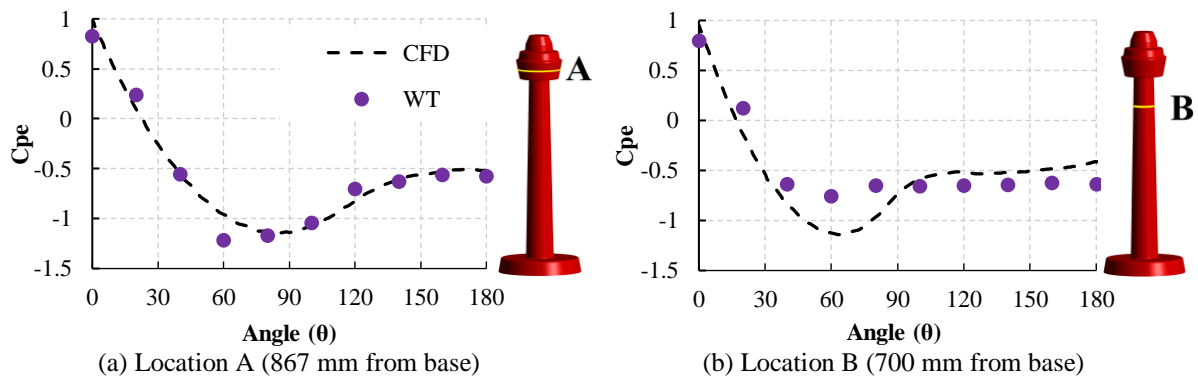


Figure 22: Improvement of results from DDES simulation on the leeward face

619 **4.3. Circular Flow Analysis**

620 The pressure distribution around the structure was measured such that the variation was captured at
 621 every 20° angle increment. A comparison between the experimental and CFD simulations were
 622 performed for the $k - \omega$ SST model as it showed better performance in estimating pressure distribution
 623 around the structure. The pressure distribution at four different heights were captured and are presented
 624 in Figure 23.



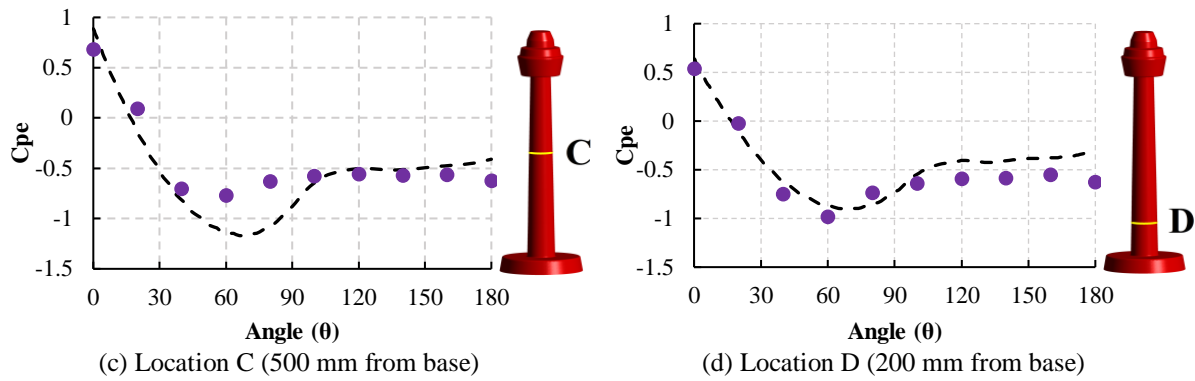


Figure 23: The cross-sectional pressure distributions around the structure at locations A, B, C and D

625

626 The pressure coefficients measured in CFD are in good correlation with the experimental analysis where
 627 both values and distributions are concerned. A notable difference is observed in pressure readings at
 628 locations B and C, where the peak negative pressure coefficient is over-predicted by CFD in comparison
 629 with the experimental results. This is greatly due to the difference in turbulence level created in the close
 630 vicinity of the bulb section by the CFD and experimental studies. Furthermore the measured turbulence
 631 intensity at the building location (Figure 12b) is slightly over predicted to that of the experimental. The
 632 pressure readings from 110° to 180° for locations B, C and D on the shaft show that the experimental
 633 coefficients are higher than the results produced by the numerical simulations. This trend is observed
 634 until the leeward face, where differences of below 30% can be calculated, as observed in Section 4.2.1.
 635 The outcomes of these pressure distribution results with regard to the differences between numerical
 636 and experimental are comparable to the study conducted by Yan and Li on high-rise structures with
 637 elliptical cross-sections [54].

638

639 The Eurocode 1 [55] is one of the few codes that provide external pressure coefficients for circular
 640 cylinders. Hence, it is worth to compare the pressure coefficients obtained from this analysis to that of
 641 the Eurocode. Since the pressure coefficients displayed in the Eurocode are for those at the reference
 642 height of the building. Locations “A” (at the bulb) and “B” (at the stalk) are compared with Eurocode 1
 643 as they are the closest to the reference point, which in this case is the apex of the structure, and are as
 644 shown in Figure 24.

645

646 Observing Figure 24a and b it can be seen that the pressure coefficient distribution at the bulb differs
 647 greatly from the Eurocode prediction for a Reynolds number of 5×10^5 . The peak negative pressure
 648 is approximately 50% of that predicted in the Eurocode 1. It can be summarised that a clear difference
 649 between the pressure coefficient distribution between the Eurocode and the current study has been
 650 observed.

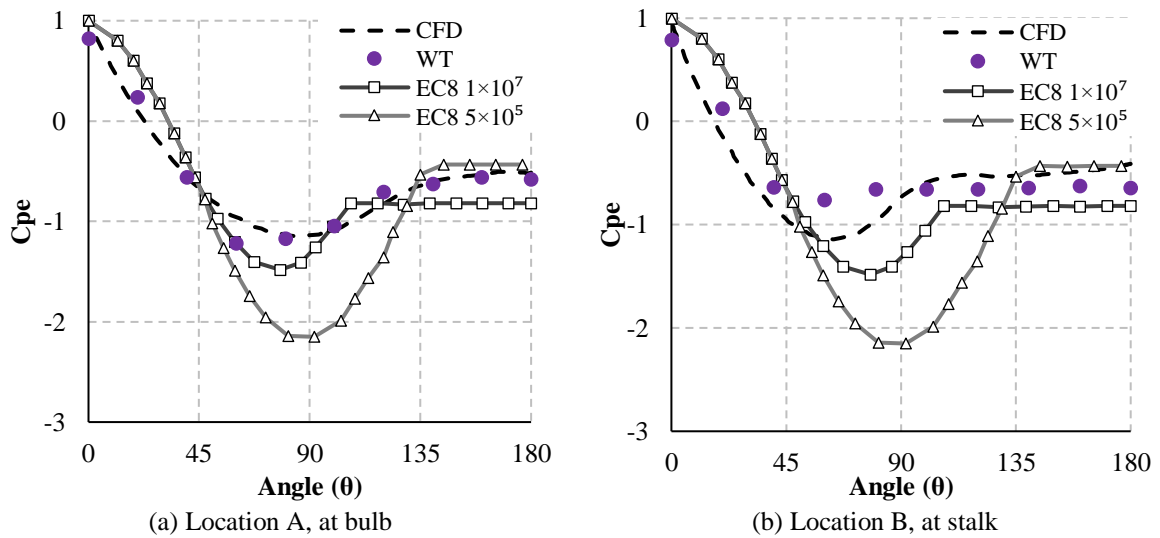


Figure 24: Pressure coefficient comparison between experimental, numerical and Eurocode 1.

651 4.4. Reynolds Number Effect

652 The flow of wind around structures with circular cross-sections is drastically affected by the Reynolds
 653 number, as mentioned earlier in this paper. The study conducted by Achenbach [8] for a circular cylinder
 654 showcases the differences in flow states with changing Reynolds numbers. The cross-sectional
 655 dimensions of the building used in this study varies along the height of the building. The average
 656 Reynolds number calculated for the given structure for a free stream velocity of 12 m/s is 2×10^5 .
 657 The analysis performed in this section examines the difference between flow behaviour and pressure
 658 distribution observed on the structure, between that of the scaled-down and the full-scale models. The
 659 scaled-down model used the dimensions of the wind tunnel (TM1), while the other model was developed
 660 with the actual dimensions of the building (RS2). The full-scale structure would attribute a total height
 661 of 300 m, where it was subjected to a wind flow with a free stream velocity of 50 m/s. In the model RS1,
 662 the fluid properties were altered such that the Reynolds number matches the wind tunnel and the scaled-
 663 down CFD model. RS2 used unaltered fluid properties where high turbulent wind flow was experienced.

664 Table 4 summarises the evaluation performed where the calculated Reynolds number is based on the
 665 diameter at the shaft of a building at the non-dimensional height of 0.7.

Table 4: Model comparisons for full-scale test series

Model	Wind velocity	Viscosity of air	Reynolds Number
RS1	50 m/s	0.02 (kg/ms)	8×10^4
RS2	50 m/s	1.7894×10^{-5} (kg/ms)	1×10^8

666

667 Figure 25 shows a comparison of the pressure distributions for the windward, crosswind and leeward
 668 sides, where direct comparison of RS1 and RS2 is made with TM1 and the wind tunnel test. A good
 669 correlation between RS1 and TM1 can be observed in all three directions, where the difference between
 670 them is no more than 5%. This shows that by altering the Reynolds number of the full-scale building,
 671 one could simulate the wind tunnel scale behaviour. RS2 shows the pressure distribution for the building
 672 at its full-scale, where fluid properties are not constrained. As can be observed from Figure 25a, the
 673 pressure variation at the windward faces does not show a significant variation. However, the leeward
 674 and the crosswind faces experience a noticeable variation in pressure between the scaled-down and full-
 675 scale models. This is attributed towards the variations in the Reynolds number experienced by the
 676 structure at its full-scale in comparison to the scale-down models. The kinetic energy of the wind flowing
 677 past the structure is considerably higher for the case of RS2. This is due to the acceleration of wind
 678 around the structure causing a large suction force as per Bernoulli's principle. This is verified when
 679 Figure 26 is observed where the graphical representation of pressure distributions of the full-scale model
 680 in comparison to TM1. It is noticeable how the negative pressures developed on the side are significantly
 681 higher in regions between the windward (0°) and the crosswind (90°) faces. With large negative pressure
 682 distributions located within this region, the resolved forces act in the opposite direction to that of the
 683 along-wind force. This means that the overall drag force on the structure is over-predicted if one were
 684 to use the scaled down pressure coefficients. Also, the local pressures on the façade could be severely
 685 under predicted which could lead to instability of both nonstructural and structural members at these
 686 locations.

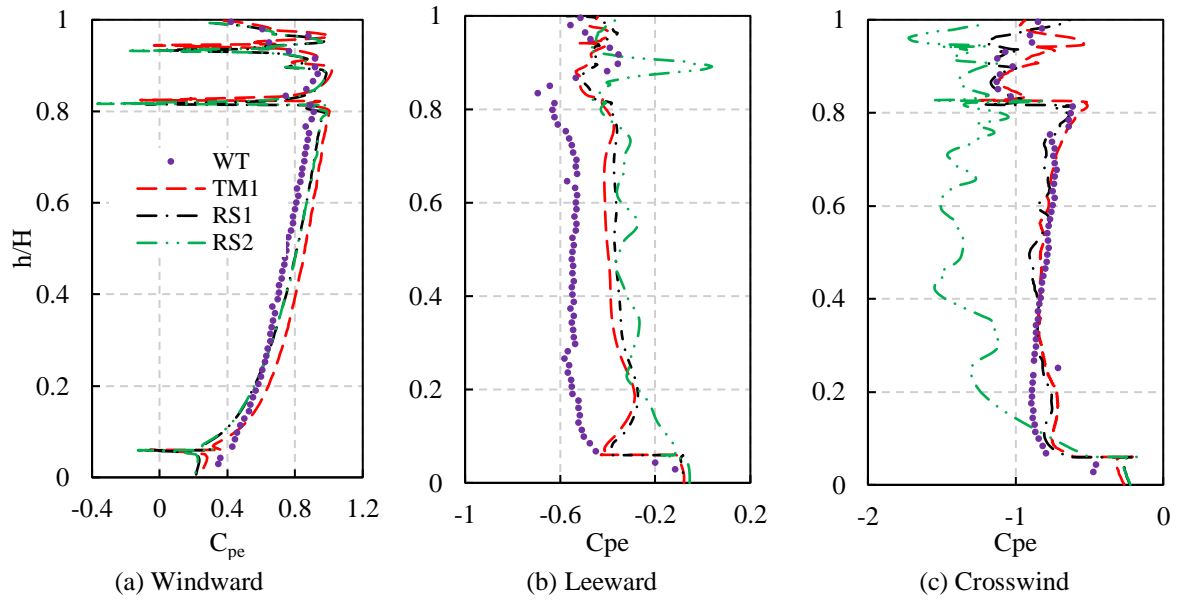


Figure 25: Pressure distribution comparison between WT, TM1, RS1 and RS2

687

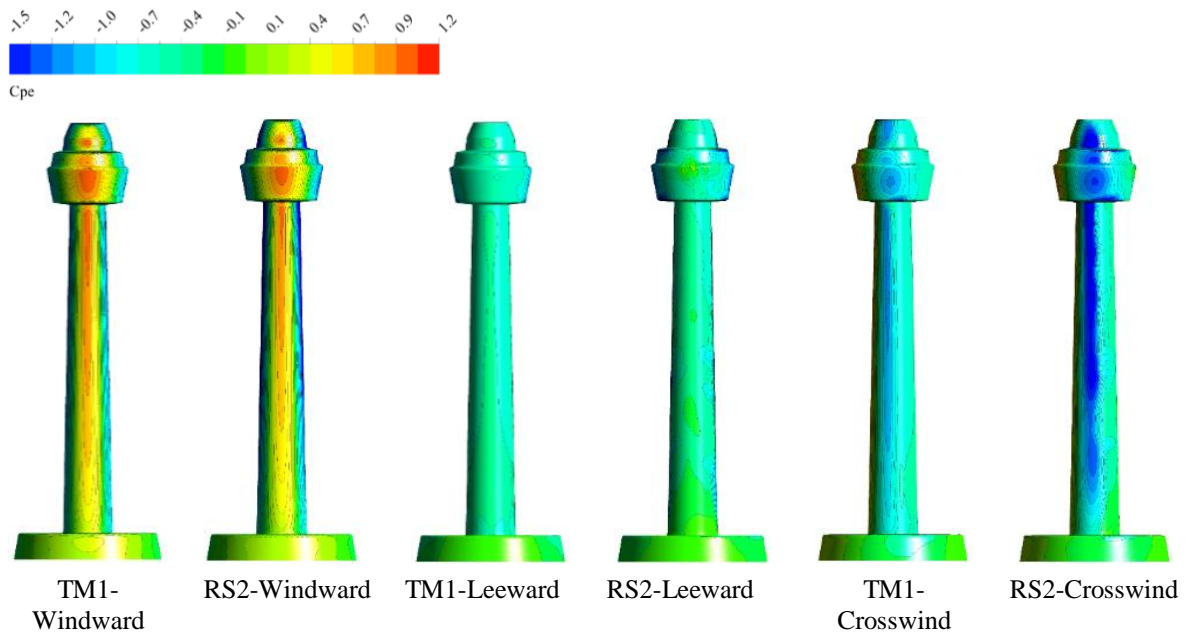


Figure 26: Graphical representation of pressure distribution for TM1 and RS2

688 **5. CONCLUSIONS**

689 This paper presented a comparative study performed on mean wind pressure obtained from
 690 computational fluid dynamics (CFD) and wind tunnel approaches for a slender super-tall structure of
 691 406 m. The main focus of the study was to investigate the ability in using of RANS models in prediction
 692 of wind induce pressure on tall buildings. Three different types of turbulence models were employed

693 which included the two-equation realisable $k - \varepsilon$, $k - \omega SST$, and transition SST models. Different
694 wall functions were investigated for the $k - \varepsilon$ model, as it is deemed as the industry standard where
695 open flows are concerned. The influence of Reynolds number on the pressure reading was investigated
696 for Reynolds numbers ranging from 10^4 (model scale) to 10^8 (full-scale). Thus, from the present study,
697 the following conclusions can be drawn upon;

- 698 • From the three different turbulence models used in this study, the $k - \omega SST$ model showed
699 the closest prediction of pressure coefficients of the structure when compared with the wind
700 tunnel results performed at the same Reynolds number.
- 701 • It was shown that identification of the flow separation point is essential in achieving the correct
702 flow characteristic in CFD analysis. The results revealed that to achieve this, a dimensionless
703 wall distance (y^+) of less than 1 was required.
- 704 • Streamline plots show that the vortices formed behind the structure directly correlates to the
705 point of flow separation which determines its size. The differences between the turbulence
706 models and its ability to correctly predict flow separation is evident when observing these plots.
- 707 • A comparison of pressure distribution for a circular body with the Eurocode 1 was made. It was
708 shown that the pressure predictions by using Eurocode 1 is conservative at low Reynolds
709 numbers. It also showed that the magnitude of pressure and its distribution pattern were
710 significantly different from each other when compared to both numerical and experimental
711 results. Thus leading to the conclusion that the code shouldn't be used for the estimation of
712 pressure of super tall structures.
- 713 • In the case for a full scale model it was shown that CFD results were closely matched with the
714 wind tunnel data when its Reynolds number was matched to that of the wind tunnel scale. When
715 the CFD analysis was performed at full-scale, the results showed disparity from the wind tunnel
716 results. The full-scale model with its unaltered Reynolds number flow of 1×10^8 , showed to
717 have differences in terms of pressure predictions where the side suction is concerned. It was
718 clear that the overall dynamic drag had reduced due to this, and significant differences were
719 observable between the model-scale and the full-scale.

720 As a summary, use of CFD in predicting wind pressure on super-tall buildings can be considered as an
721 alternative option to wind tunnel testing. It was shown that the accurate selection of turbulence models,
722 wall functions, mesh configuration and model-scale improve the accuracy of the results generated from
723 CFD analysis. One of the limitations of this study is the use of a steady solver and the resulting
724 assumption of a smooth inflow. This limits the output to a time averaged solution where instantaneous
725 pressure fluctuations cannot be monitored. Therefore, the method used in this study can be
726 recommended for a preliminary design stage of a tall building where approximation of pressure values
727 are sufficient. In order to further improve prediction of mean pressures, especially on the leeward face,
728 the use of higher fidelity turbulence models such DDES model can improve predictions as shown. Also
729 these transient simulations will enable the designer to record fluctuating pressures which are important
730 at assessing the dynamic behaviour of buildings. It's clear that CFD can be used as an effective tool for
731 structural design given that correct modelling techniques are adopted such as that presented in this paper.

732 **Acknowledgement**

733 The authors gratefully acknowledge the support of the Dr. Kapil Chauhan and the technical staff of the
734 boundary layer wind tunnel at the University of Sydney. Authors would like to acknowledge the
735 financial support they received from CERDS (Civil Engineering Research Development Scheme)
736 from the school of Civil Engineering, University of Sydney.

737 **References**

- 739 1. Taranath, B.S., *Tall Building Design: Steel, Concrete and Composite Systems*. 2016,
740 United States of America: CRC Press.
- 741 2. Holmes, J.D., *Wind loading of structures*. 2001: Taylor & Francis.
- 742 3. Scruton, C., *An introduction to wind effects on structures*. 1981, Oxford: Oxford
743 University Press.
- 744 4. Standards Australia/New Zealand, *Structural design actions, Part 2: Wind actions,*
745 *AS/NZS 1170.2:2011(R2016)*. 2011.
- 746 5. Irwin, P., *Wind engineering challenges of the new generation of super-tall buildings*.
747 *Journal of Wind Engineering and Industrial Aerodynamics*, 2009. 97: p. 328-324.
- 748 6. Aly, A.M., *Pressure integration technique for predicting wind-induced response in*
749 *high-rise buildings*. *Alexandria Engineering Journal*, 2013. 52(4): p. 717-731.
- 750 7. Roshko, A., *Experiments on the flow past a circular cylinder at very high Reynolds*
751 *number*. *Journal of Fluid Mechanics*, 1961. 10(3): p. 345-356.
- 752 8. Achenbach, E., *Distribution of local pressure and skin friction around a circular*
753 *cylinder in cross-flow up to $Re = 5 \times 10^6$* . *Journal of Fluid Mechanics*, 1968. 34(04): p.
754 625-639.
- 755 9. Blocken, B., T. Stathopoulos, and J.P.A.J. van Beeck, *Pedestrian-level wind conditions*
756 *around buildings: Review of wind-tunnel and CFD techniques and their accuracy for*
757 *wind comfort assessment*. *Building and Environment*, 2016. 100: p. 50-81.

- 758 10. Elshaer, A., et al., *LES evaluation of wind-induced responses for an isolated and a*
759 *surrounded tall building*. Engineering Structures, 2016. 115: p. 179-195.
- 760 11. Elshaer, A., G. Bitsuamlak, and A. El Damatty, *Enhancing wind performance of tall*
761 *buildings using corner aerodynamic optimization*. Engineering Structures, 2017. 136:
762 p. 133-148.
- 763 12. Huang, S., Q.S. Li, and S. Xu, *Numerical evaluation of wind effects on a tall steel*
764 *building by CFD*. Journal of Constructional Steel Research, 2007. 63(5): p. 612-627.
- 765 13. Perén, J.I., et al., *CFD analysis of cross-ventilation of a generic isolated building with*
766 *asymmetric opening positions: Impact of roof angle and opening location*. Building and
767 Environment, 2015. 85: p. 263-276.
- 768 14. Franke, J., et al. *Recommendations on the use of CFD in wind engineering*. in *COST*
769 *Action C14, Impact of Wind and Storm on City Life Built Environment*. 2004. von
770 Karman Institute, Sint-Genesius-Rode, Belgium.
- 771 15. Anderson Jr, J., *Basic philosophy of CFD*, in *Computational Fluid Dynamics*, J.F.
772 Wendt, Editor. 2009, Springer. p. 3-14.
- 773 16. ANSYS Inc., *ANSYS Fluent Theory Guide*. 2013, ANSYS, Inc. Southpointe 275
774 Technology Drive Canonsburg, PA.
- 775 17. Blazek, J., *Computational Fluid Dynamics: Principles and Applications*. 1 ed. 2001:
776 Elsevier Science
- 777 18. Melbourne, W.H., *Comparison of measurements on the CAARC standard tall building*
778 *model in simulated model wind flows*. Wind Engineering and Industrial Aerodynamics,
779 1980. 6(1-2): p. 73-88.
- 780 19. Braun, A.L. and A.M. Awruch, *Aerodynamic and aeroelastic analyses on the CAARC*
781 *standard tall building model using numerical simulation*. Computers & Structures,
782 2009. 87(9-10): p. 564-581.
- 783 20. Dagnew, A.K. and G.T. Bitsuamlak, *Computational evaluation of wind loads on a*
784 *standard tall building using LES*. Wind and Structures, 2014. 18(5): p. 567-598.
- 785 21. Zhang, Y., W.G. Habashi, and R.A. Khurram, *Predicting wind-induced vibrations of*
786 *high-rise buildings using unsteady CFD and modal analysis*. Journal of Wind
787 Engineering and Industrial Aerodynamics, 2015. 136: p. 165-179.
- 788 22. Meng, F.-Q., et al., *Sensitivity analysis of wind pressure coefficients on CAARC*
789 *standard tall buildings in CFD simulations*. Journal of Building Engineering, 2018. 16:
790 p. 146-158.
- 791 23. Obasaju, E.D., *Measurement of forces and base overturning moments on the CAARC*
792 *tall building model in a simulated atmospheric boundary layer*. Journal of Wind
793 Engineering and Industrial Aerodynamics, 1992. 40(2): p. 103-126.
- 794 24. Tominaga, Y., *Flow around a high-rise building using steady and unsteady RANS CFD:*
795 *Effect of large-scale fluctuations on the velocity statistics*. Journal of Wind Engineering
796 and Industrial Aerodynamics, 2015. 142: p. 93-103.
- 797 25. Liu, J. and J. Niu, *CFD simulation of the wind environment around an isolated high-*
798 *rise building: An evaluation of SRANS, LES and DES*. Building and Environment, 2016.
799 96: p. 91-106.
- 800 26. Asghari Mooneghi, M. and R. Kargarmoakhar, *Aerodynamic Mitigation and Shape*
801 *Optimization of Buildings: Review*. Journal of Building Engineering, 2016. 6: p. 225-
802 235.
- 803 27. Bernardini, E., et al., *Aerodynamic shape optimization of civil structures: A CFD-*
804 *enabled Kriging-based approach*. Journal of Wind Engineering and Industrial
805 Aerodynamics, 2015. 144: p. 154-164.

- 806 28. Rahman, M.M., M.M. Karim, and M.A. Alim, *Numerical investigation of unsteady flow*
807 *past a circular cylinder using 2-d finite volume method*. Journal of Naval Architecture
808 and Marine Engineering, 2007. 4(1): p. 27-42.
- 809 29. Stringer, R.M., J. Zang, and A.J. Hillis, *Unsteady RANS computations of flow around a*
810 *circular cylinder for a wide range of Reynolds numbers*. Ocean Engineering, 2014. 87:
811 p. 1-9.
- 812 30. Xing, F., D. Mohotti, and K. Chauhan, *Experimental and numerical study on mean*
813 *pressure distributions around an isolated gable roof building with and without*
814 *openings*. Building and Environment, 2018. 132: p. 30-44.
- 815 31. ANSYS®, *Academic Research Fluent, Release 18*. 2017.
- 816 32. Miao, J.J., et al., *Experiment on smooth, circular cylinders in cross-flow in the critical*
817 *Reynolds number regime*. Experiments in Fluids, 2011. 51(4): p. 949-967.
- 818 33. Deaves, D. and R. Harris, *A mathematical model of the structure of strong winds*, in
819 *CIRIA Report 76*. 1978, Construction Industry Research and Information Association:
820 London.
- 821 34. Standard Australian/New Zealand, *Structural design actions-Wind actions-*
822 *Commentary (Supplement to AS/NZS 1170.2:2002)*. 2002.
- 823 35. Taranath, B.S., *Reinforced concrete design of tall buildings*. Vol. 2. 2010: CRC press
824 London.
- 825 36. Blocken, B., *Computational Fluid Dynamics for urban physics: Importance, scales,*
826 *possibilities, limitations and ten tips and tricks towards accurate and reliable*
827 *simulations*. Building and Environment, 2015. 91: p. 219-245.
- 828 37. Tominaga, Y., et al., *AIJ guidelines for practical applications of CFD to pedestrian*
829 *wind environment around buildings*. Journal of Wind Engineering and Industrial
830 Aerodynamics, 2008. 96(10-11): p. 1749-1761.
- 831 38. Launder, B.E. and D.B. Spalding, *The Numerical Computation of Turbulent Flows*.
832 Computer Methods in Applied Mechanics and Engineering, 1973. 3: p. 269-289.
- 833 39. Shih, T.H., et al., *A new $k-\epsilon$ eddy viscosity model for high reynolds number turbulent*
834 *flows*. Computer and Fluids, 1995. 24(3): p. 227-338.
- 835 40. Wilcox, D.C., *Reassessment of the scale-determining equation for advanced turbulence*
836 *models*. AIAA Journal, 1988. 26: p. 1299-1310.
- 837 41. Menter, F.R., *Two-equation eddy-viscosity turbulence model for engineering*
838 *applications*. AIAA, 1994. 32(8): p. 1598-1605.
- 839 42. Menter, F.R., et al., *A Correlation-Based Transition Model Using Local Variables—*
840 *Part I: Model Formulation*. Journal of Turbomachinery, 2006. 128(3): p. 413-422.
- 841 43. Langtry, R.B., et al., *A Correlation-Based Transition Model Using Local Variables—*
842 *Part II: Test Cases and Industrial Applications*. Journal of Turbomachinery, 2006.
843 128(3): p. 423-434.
- 844 44. ANSYS Inc., *ANSYS Fluent User's Guide*. 2013, ANSYS, Inc. Southpointe 275
845 Technology Drive Canonsburg, PA.
- 846 45. Richards, P.J. and R.P. Hoxey, *Appropriate boundary conditions for computational*
847 *wind engineering models using the $k-\epsilon$ turbulence model*. Journal of Wind Engineering
848 and Industrial Aerodynamics, 1993. 46: p. 145-153.
- 849 46. Richards, P.J. and S.E. Norris, *Appropriate boundary conditions for computational*
850 *wind engineering models revisited*. Journal of Wind Engineering and Industrial
851 Aerodynamics, 2011. 99(4): p. 257-266.
- 852 47. Blocken, B., T. Stathopoulos, and J. Carmeliet, *CFD simulation of the atmospheric*
853 *boundary layer: wall function problems*. Atmospheric Environment, 2007. 41(2): p.
854 238-252.

- 855 48. Elshaer, A., et al., *Variations in wind load on tall buildings due to urban development*.
856 Sustainable Cities and Society, 2017. 34: p. 264-277.
- 857 49. Rodi, W., *Comparison of LES and RANS calculations of flow around bluff bodies*. Wind
858 Engineering and Industrial Aerodynamics, 1997. 69-71: p. 55-75.
- 859 50. Murakami, S., *Comparison of various turbulence models applied to a bluff body*.
860 Journal of Wind Engineering and Industrial Aerodynamics, 1993. 46 & 47: p. 21-36.
- 861 51. Tominaga, Y., et al., *Comparison of various revised k-e models and LES applied to flow*
862 *around a high-rise building model with 1:1:2 shape placed within the surface boundary*
863 *layer*. Journal of Wind Engineering and Industrial Aerodynamics, 2008. 96: p. 389-411.
- 864 52. Strelets, M., *Detached eddy simulation of massively separated flows*. AIAA Paper 2001-
865 0879, 2001.
- 866 53. Menter, F.R., M. Kuntz, and R. Langtry, *Ten years of industrial experience with the SST*
867 *turbulence model*, in *Turbulence, Heat and Mass Transfer 4*, K. Hanjalic, Y. Nagano,
868 and M. Tummers, Editors. 2003: Begell House Inc.
- 869 54. Yan, B.W. and Q.S. Li, *Detached-eddy and large-eddy simulations of wind effects on a*
870 *high-rise structure*. Computers & Fluids, 2017. 150: p. 74-83.
- 871 55. European Standards, *Eurocode 1: Actions on Structures - Part 1-4: General actions -*
872 *Wind actions EN 1991-1-4*. 2005.
- 873