



Energy Confinement in Shaped TCV Plasmas with Electron Cyclotron Heating

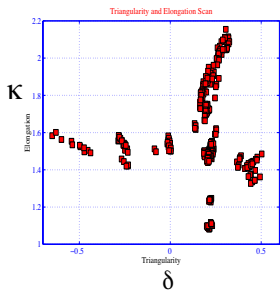
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Confinement with ECRH

- Effects of **plasma shape** on electron energy confinement and central MHD activity
- Parameters varied:
 elongation κ , triangularity δ , ECH power P_{EC} , electron density n_e , plasma current I_p (q_{eng})
- present ECRH syst.em: **1.5 MW, 2 s** : 3 gyrotrons at the second harmonic X-mode 82.7 GHz (soon extension to a total power of 3 MW X2 and 1.5 MW X3, 118 GHz)

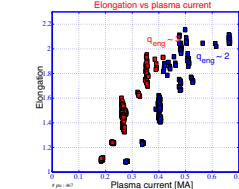
Elongation and Triangularity Range, Experimental Characteristics

elongation κ - triangularity δ - cross



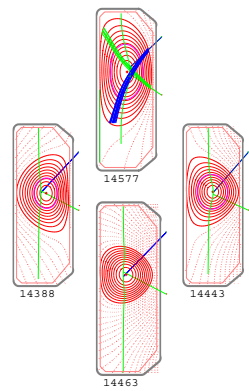
- $1.05 < \kappa < 2.15$ (2.58)
- $-0.65 < \delta < 0.5$
- $1.7 < q_{eng} < 3$
 ($2.3 < q_a < 6$)
- $190 < I_p < 670$ kA (1MA)
- $q_{eng} = 5abB/Rlp$
- Limiter L-mode discharges
- $R_0 = 0.89$ m
- $a = 0.25$ m
- $B_0 = 1.45$ T

in two q_{eng} - scans:



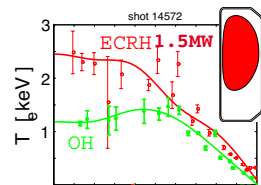
q_{eng} = constant scans to maintain self-similar profiles, i.e. constant $q=1$ radius, independently of shape:
 (H. Weisen et al., PPCF 40 (1998) 1803)

Temperature Profiles for different Shapes

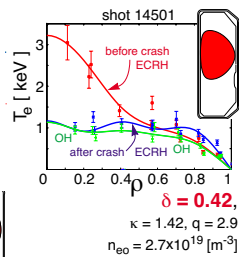


- 3 launchers (upper lateral and equator)
- **Power deposition inside inversion radius ρ_{inv}**
- $0.5 \text{ MW} \leq P_{EC} \leq 1.5 \text{ MW}$
- $0.1 \text{ MW} < P_{OH} < 1 \text{ MW}$
 (OH & EC-phases)
- $\sim 1 < P_{EC}/P_{OH} \text{ (during EC)} < \sim 10$

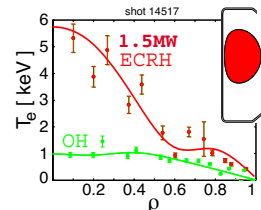
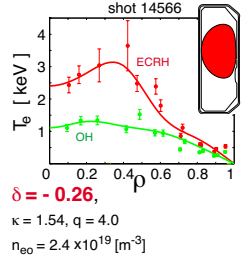
High elongation



Positive triangularity



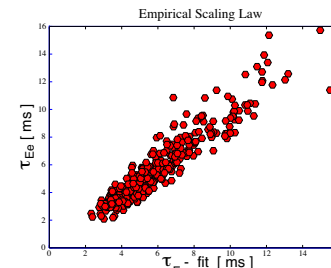
Negative triangularity



Moderate elongation $\kappa = 1.5$, $\delta = 0.2$, $q = 4.2$, $n_{e0} = 1.3 \times 10^{19} \text{ m}^{-3}$

Confinement Analysis

Multivariable Regression through the full κ - δ -scan

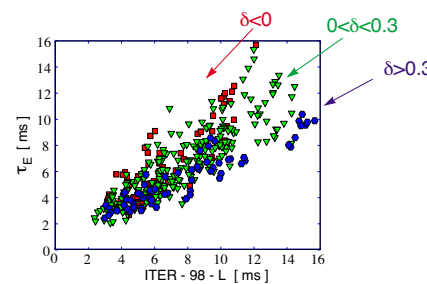


$$\tau_{Ee} \text{ fit [ms]} = 2 \times 6^{\alpha_{lp}} n_{e19}^{0.46} P^{-0.68} I_p^{\alpha_{lp}} \kappa^{\alpha_{\kappa}} (1+\delta)^{-0.35}$$

$$\alpha_{\eta} = 0.46 \pm 0.2, \alpha_P = -0.68 \pm 0.1, \alpha_{\delta} = -0.35 \pm 0.3,$$

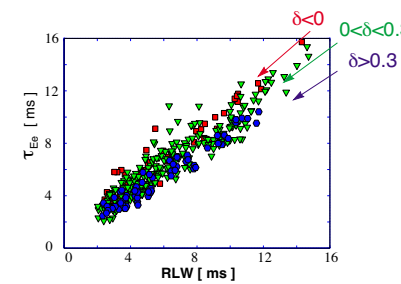
$$\alpha_{\kappa} = 1.4(1-\alpha_{lp}) \pm 0.4, 0 < \alpha_{lp} < 0.7 \text{ provides good fits } (\alpha_{lp} = 0.5 \text{ in above figure})$$

Comparison with ITER-98-L



- TCV ECRH heated (+ ohmic target) data fit quite well ITER-98-L-mode scaling
- The benefit of small (or negative) triangularity appears clearly (not included in ITER-98-L)

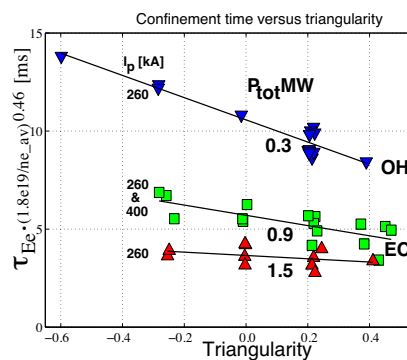
Comparison with Rebut-Lallia-Watkins



- ECRH and OH data well described by RLW scaling, based on a critical gradient transport model
- Negative δ appear also favourable in this representation, although RLW better integrates triangularity than ITER-98-L

Confinement versus Triangularity

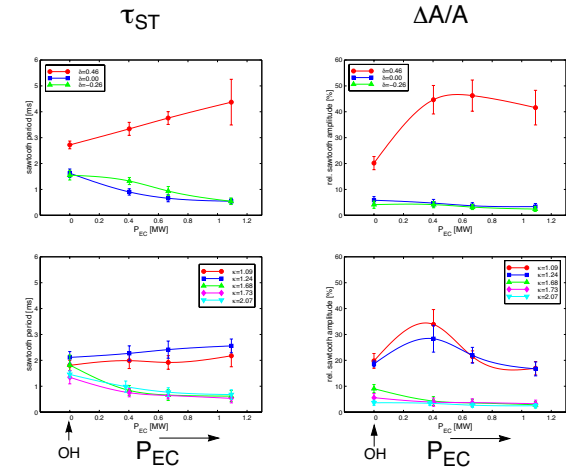
- Triangularity range: $-0.6 < \delta < 0.45$
- 3 power classes
- density range: $1.3 < n_{e019} < 3$
- confinement normalised using $\tau_{Ee} \sim (n_{e-av})^{0.46}$ dependence
- $P_{tot}/P_{OH} \sim 3$ to 9 for $q_{eng} = 2$ to 3



- The confinement time is larger at small or negative triangularities, particularly at low input power (OH).
- Power degradation may be weaker at positive triangularity, possibly reducing the triangularity dependence at high power
- Negative triangularities yield a higher τ/τ_{RLW} at all powers
- Higher power experiments with next gyrotron clusters ($P_{tot} = 3$ and 4.5 MW) will help clarify the situation

Sawteeth Stability vs Plasma Shape (elongation κ , triangularity δ)

δ - scan
 $\kappa = 1.5$
 $-0.3 < \delta < 0.5$

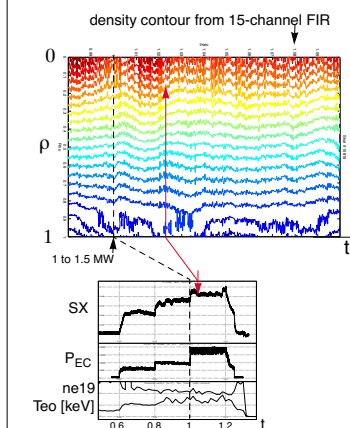


κ - scan
 $\delta = 0.2$
 $1.1 < \kappa < 2.1$

- Low $q_{eng} \sim 2$ series, inversion radius $\rho_{inv} \sim 0.55$
- $\rho_{inv} \sim$ constant throughout shape changes (5% variation)
- ECH power deposition inside inversion radius (TORAY)
- Increasing power at $\delta > 0.3$ or $\kappa < 1.6$ stabilises sawteeth (increased period & amplitude)
- Increasing power at $\delta < 0.2$ or $\kappa > 1.6$ destabilises sawteeth (reduced period & amplitude)
- Stabilisation found in experiment at positive triangularity in qualitative agreement with Mercier stability of internal kink & Resistive stability of $m=1$ mode:

Ellipticity and negative triangularity are destabilising [Lütjens et al. NF 32 (1992) 1625]

Confinement Transitions with off-axis Heating



In the process of expanding the confinement database to decouple I_p and κ :

High $q \sim 20$, $\kappa=2$ discharges have been heated off-axis at $\rho \sim 0.4$ (HFS with $B_{\phi} = 1.43$ T and 82.7 GHz)

At the highest EC powers, 1-1.5 MW ($P_{EC}/P_{OH} \sim 50-90$ during EC, $\sim 10-15$ before EC), spontaneous oscillating confinement transitions occur (the density profile flattens when the ϕ_{SX} drops)

In the different cases of counter-ECCD, confinement times about twice above RLW have been measured (10 keV)

Conclusions

- Confinement and central MHD studied varying triangularity ($\pm \delta$), elongation ($\kappa < 2.15$)
- ECRH power < 1.5 MW, electron density, plasma current I_p
- General TCV ECRH scaling law close to ITER-L-98: shows the beneficial effect of $\delta < 0.2$
- TCV ECRH data fit closely the critical gradient Rebut-Lallia-Watkins scaling (effect of δ less apparent than in ITER-L-98, but still visible)
- Triangularity dependence may be weaker at higher additional power (1.5 MW)
 - Higher EC power (3-4.5 MW) will
 - clarify the issue of high power confinement triangularity dependence
 - and allow the study of high elongations ($\kappa > 2$) at significant P_{EC}/P_{OH}
- Shape dependence of sawtooth stability with central deposition in qualitative accord with Mercier and resistive stability of internal $m=1$ mode