

EXPERIMENTAL INVESTIGATION OF STEEL BUILDING GRAVITY FRAMING SYSTEMS UNDER STRONG EARTHQUAKE SHAKING

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SUMMARY

Hybrid simulations were conducted to evaluate the system-level seismic response of a 4-story steel moment frame building and its gravity framing system through various levels of ground motion shaking. The experimental substructure examined in detail corresponds to a half-scale 1½-bay by 1½-story subassembly of the steel gravity frame. Unlike typical beam-to-column connection tests, the subassembly, which represented typical gravity framing steel construction, captured the redistribution of force demands in beams, columns, panel zones, and the composite floor slab while exhibiting inelastic behavior. Horizontal as well as varying vertical forces were applied on the test specimen to mimic realistic boundary and loading conditions. This paper focuses on the experimental response of the gravity framing system and its contribution to the lateral resistance of a steel frame building. In particular, the lateral resistance and failure mechanisms of the test frame are described and compared to numerical simulations based on state-of-the-art modeling approaches. The data generated from these experiments provides valuable insight on gravity frame behavior towards improvement and verification of frame models at the system level.

Keywords: gravity framing system, force-redistribution, seismic performance, hybrid simulation, collapse, destabilizing effects

1 INTRODUCTION

Secondary systems such as the gravity-force-resisting system (or simply “gravity frames”) in steel frame buildings are commonly neglected in the seismic performance assessment of buildings. Instead, the primary lateral load-resisting system is only considered for this purpose. The gravity framing connections are designed to carry gravity loads only and consequently assumed to provide minimal lateral resistance. Cyclic testing of typical shear-tab beam-to-column connections (e.g., [1-3]) underscore that there is appreciable reserve capacity in these connections. Following on these experimental studies, only limited numerical studies have been conducted to assess the influence of the gravity-framing system on the seismic response of frame buildings [4-6].

While most large-scale subassembly tests conducted to date conveniently obtain information on single structural components, they do not necessarily capture the redistribution of forces within a frame once earthquake induced damage occurs. Another limiting feature entails the fact that prescribed loading protocols have been routinely used in such tests [7]. The majority of these protocols are symmetric [8]. Shake table collapse tests [9-10] suggest that the hysteretic behavior of systems may be vastly different than that obtained from component tests subjected to pre-defined symmetric cyclic loading histories. The aforementioned findings highlight the need for

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40 more physical system or subsystem tests with more realistic loading histories. However, the
41 associated financial constraints may be a compelling issue in this case.

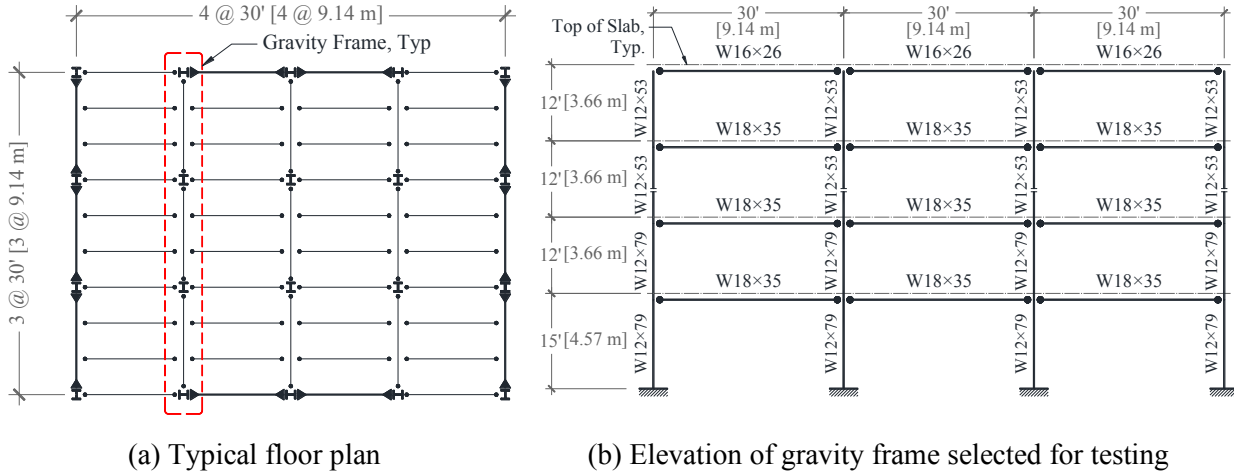
42 Hybrid simulation with substructuring has been employed as a cost-efficient alternative to large-
43 scale system-level testing of frame structures [11-14]. In this approach, only key subassemblies
44 are tested in the laboratory (i.e., physical substructures) while the rest of the structure is modeled
45 numerically (i.e., numerical substructures), both interacting to simulate the response of the full
46 system. Hashemi and Mosqueda [15] presented and validated a substructuring technique for hybrid
47 simulation of multi-story frame structures. This approach was adopted to test two large-scale
48 realistic subassemblies of a steel moment resisting frame (MRF) and a gravity frame at the
49 University at Buffalo [16]. The details of the implementation of the hybrid simulation algorithms
50 and the steel MRF are discussed in Del Carpio *et al.* [17] and Del Carpio *et al.* [11], respectively.

51 This paper focuses on the seismic performance of a steel gravity framing substructure as well as
52 the effectiveness of numerical modeling tools in simulating the response of the test structure from
53 the onset of damage through various seismic intensities of interest to the engineering profession.
54 The 1½-bay by 1½-story subassembly with composite floor slab examined here demonstrates the
55 damage progression in the gravity (shear-tab) beam-to-column connections and redistribution of
56 force demands within the beams, columns, panel zones, and the composite floor slab in the inelastic
57 range of behavior.

58 **2 PROTOTYPE BUILDING**

59 The four-story office building shown in Figure 1, designed and evaluated by Lignos and
60 Krawinkler [18] was selected as the prototype building. This Category II (importance factor equal
61 to 1.0) building was designed for a site in Los Angeles, CA according to the U.S. codes/standards
62 of practice at that time [19-21]. The lateral load-resisting system consisted of steel special moment
63 frames (located around the perimeter of the building) with fully restrained reduced beam sections
64 (RBS) in both loading directions. The location of the moment connections is indicated by a solid
65 triangle symbol in Figure 1. The interior frames shown in Figure 1 were part of the gravity framing
66 system in which the beams and columns were connected through conventional shear-tab beam-to-
67 column connections indicated by the solid circle symbol.

68 An elevation view of the three-bay gravity frame selected for hybrid testing is shown in Figure
69 1(b). The story heights of the four-story building were interpreted as top-of-slab dimensions.
70 Lignos *et al.* [9] and Hashemi and Mosqueda [15] examined the behavior of the two-bay steel
71 moment resisting frame (MRF) in the orthogonal direction in shake table and hybrid simulation
72 studies, respectively. In the aforementioned studies a 1/8-scale model of the two-bay frame was
73 employed. The interior frames shown in Figure 1(a) represent the gravity framing system tested as
74 part of the present experimental program. Details of the entire testing program including the results
75 of the moment frames are presented in detail in Del Carpio *et al.* [16].



76 **Figure 1 Prototype office building used as part of the experimental program**

77 **3 TEST SPECIMEN AND EXPERIMENTAL PROCEDURE**

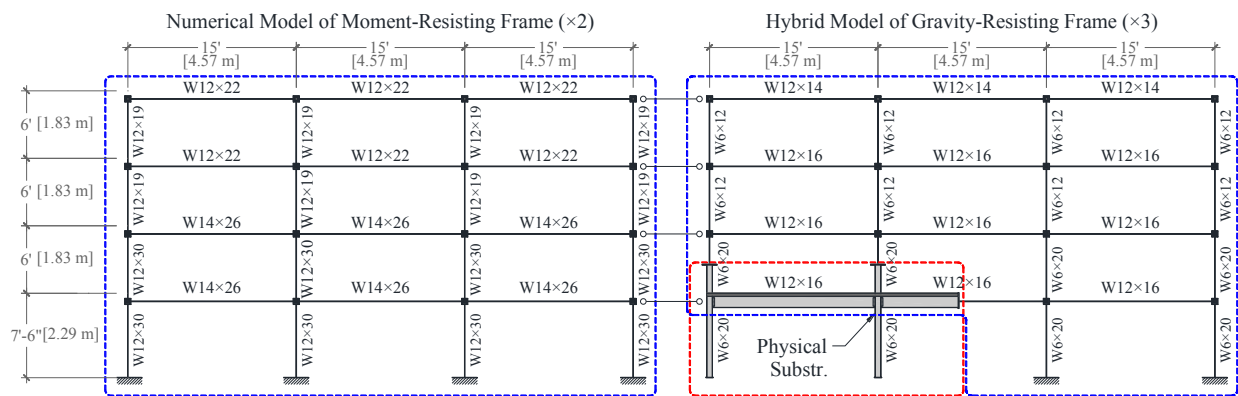
78 A 1½-bay by 1½-story subassembly of the gravity frame shown in Figure 1(b) was tested in the
 79 laboratory via hybrid simulation with substructuring. The substructuring technique developed by
 80 Hashemi and Mosqueda [15] was applied here to a large-scale realistic structural model. These
 81 previous studies validated the substructuring technique through a series of hybrid simulations on
 82 a 1/8-scale aluminum frame structure previously tested on a shake table by Lignos *et al.* [9]. In the
 83 substructuring approach, the boundary conditions of the physical substructure were simplified with
 84 physical hinges at the mid-span of beams and columns similar to conventional cruciform or T-
 85 shaped subassemblies. This simplification is necessary to test larger frame subassemblies using a
 86 reduced number of actuators without having to control rotational degrees of freedom at boundaries.
 87 However, the substructuring technique implemented here minimizes the loss of simulation
 88 accuracy due to the simplified boundary conditions by providing an overlapping domain between
 89 the physical and numerical substructures. As an extension to this method, the column axial forces
 90 from gravity loading were considered during the hybrid testing presented here. Numerical studies
 91 demonstrating the substructuring technique for the frame examined here are provided in Del
 92 Carpio *et al.* [17]. For the hybrid simulation, the numerical substructure was modeled in the Open
 93 System for Earthquake Engineering Simulation (OpenSees) [22] and was integrated with the
 94 physical substructure via the Open-Source Framework for Experimental Setup and Control
 95 (OpenFresco) [23]. Previous assessments of numerical and experimental errors provided insight
 96 to key parameters of the hybrid simulation integration algorithms and actuator control system
 97 towards achieving reliable results [24-25].

98 **3.1 Hybrid Model of Steel Moment-Resisting Frame and Gravity Frame**

99 Figure 2 shows a schematic elevation of the half-scale hybrid model developed to simulate the
 100 response of the steel MRF building with gravity framing. The physical and numerical substructures
 101 are indicated in the figure. Note that the model accounts for the two MRF and three gravity frames
 102 in the prototype building. The hybrid model includes a detailed gravity frame model with a
 103 physical substructure, all coupled with a fully-numerical model of the steel MRF. Acknowledging
 104 that the contribution of the gravity frames is a function of the orientation of the gravity columns

105 [4], the hybrid model of the gravity frame here was developed assuming that all gravity columns
 106 seen in Figure 1(a), are of the same size, they are continuous and oriented with their strong axis in
 107 the direction of lateral loading.

108 The experimental substructure representing half of the first story level was primarily selected to
 109 examine the response of a first story frame with the connecting beams and columns extend by half
 110 of their length to realistically approximate the corresponding boundary conditions. The dashed
 111 lines indicate the substructures’ boundaries. The numerical model extends to overlap with the
 112 physical substructure as part of the implemented substructuring strategy. The hysteretic response
 113 of the two joints within the overlapping domain can be compared to evaluate the predicted and
 114 measured response. The physical and numerical components of the hybrid model were scaled by
 115 a length scale factor of $S=0.50$. As such, the ground motion time step was compressed by the time
 116 scale factor of $S^{1/2}=0.707$ based on similitude laws for true-replica physical models [26].



117
 118 **Figure 2 Schematic elevation of hybrid model of the steel frame**

119 The wide-flange sections of the half-scale hybrid model, labeled in Figure 2, were selected to
 120 match relevant target section geometric properties such as the moment of inertia (I_x), the cross-
 121 sectional area (A), the plastic modulus (Z_x), and the local flange and web slenderness ratios, $b_f/2t_f$,
 122 h/t_w , respectively, as defined in the AISC-341-16 [27] provisions. These geometric parameters
 123 strongly influence the deterioration characteristics of commonly used wide-flange sections [28].

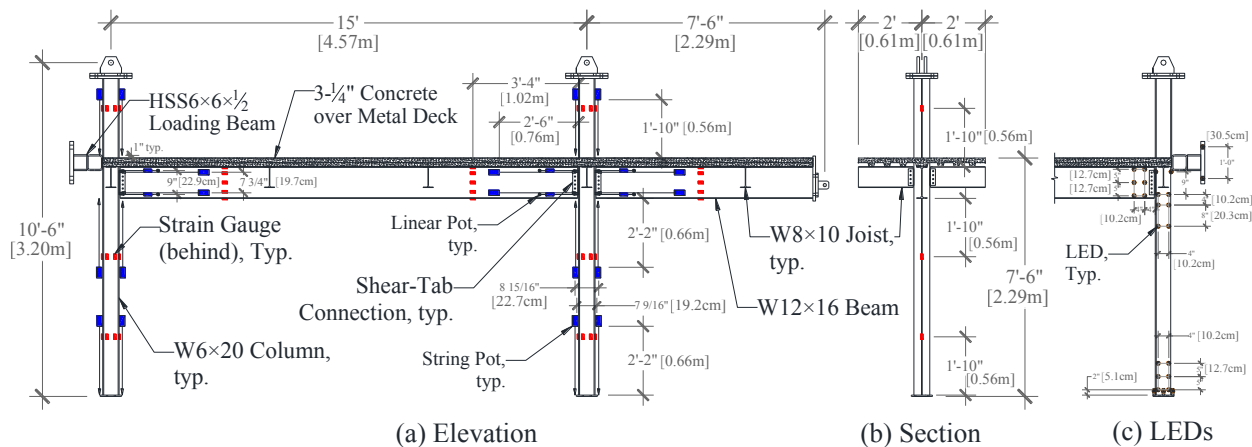
124 3.1.1 Design and Construction of Test Specimen (Physical Substructure)

125 The test specimen shown in Figure 3 was designed and constructed to retain many of the features
 126 of realistic full-scale frame structures. The W12x16 floor beams were connected to the W6x20
 127 columns with conventional single row shear-tab beam-to-column connections representing typical
 128 gravity connections. The composite floor slab consisted of light-weight concrete with a specified
 129 strength of 20 MPa (3000 psi) at 28 days and a maximum aggregate size of 13 mm (½ in) poured
 130 over a 20GA metal deck (deck type B by Vulcraft). The total thickness of the floor slab was
 131 specified as 83 mm (3¼ in) [depth of metal deck = 38 mm (1½ in), thickness of concrete slab
 132 above deck = 44mm (1¾ in)]. The floor slab was reinforced with a welded wire mesh [6x6-
 133 W1.4xW1.4 - wires spaced at 152 mm (6 in) with a total steel area of 59 mm² per meter in both
 134 directions] placed over the entire area of the floor slab and reinforcing bars with a diameter of 9.5
 135 mm (#3 bars) across the girder for crack control due to gravity loading. Shear studs were provided

136 along the girder at 152 mm (6 in) on center and the floor beams at each metal deck rib. The floor
 137 slab was constructed to extend out 610 mm (2 ft) on both sides of the beam to maintain symmetry
 138 and minimize any potential out-of-plane response during testing. The total width of the concrete
 139 slab was selected to match the corresponding effective width as per AISC [27] for an internal
 140 gravity framing beam. The floor beams support the weight of the floor slab and the steel plates
 141 used to simulate gravity loads on the test specimen. As shown in Figure 3, an HSS6×6×½ loading
 142 beam was used to transfer the load from the horizontal actuator to the test specimen. The loading
 143 mechanism is further discussed in a subsequent section.

144 Details of the shear-tab connection of the half-scale gravity frame physical subassembly are shown
 145 in Figure 4(b). The connection geometry is half of that of the full-scale connection except for the
 146 12mm (1/2 in) diameter bolts. A complete set of drawings is available in Del Carpio *et al.* [16].
 147 Except for the A36 (i.e., $F_y=235\text{MPa}$) steel 5mm (3/16 in) shear-tab plate used in the simple
 148 gravity connections, wide-flange sections and steel plates (continuity plates, shear-tab plates,
 149 doubler plates, etc.) were fabricated from A572 Grade 50 (i.e., $F_y=345\text{MPa}$) steel. The test
 150 specimen utilized simple base plate connection details that reflected the current design practice. In
 151 brief, the base plate had a thickness of 13 mm (1/2 in) and four bolts (ASTM A325) of 13 mm (1/2
 152 in) diameter. Although these simple connections are commonly assumed as pinned, they are
 153 characterized by an appreciable level of flexibility [29] that was confirmed by measurements in
 154 this experimental program.

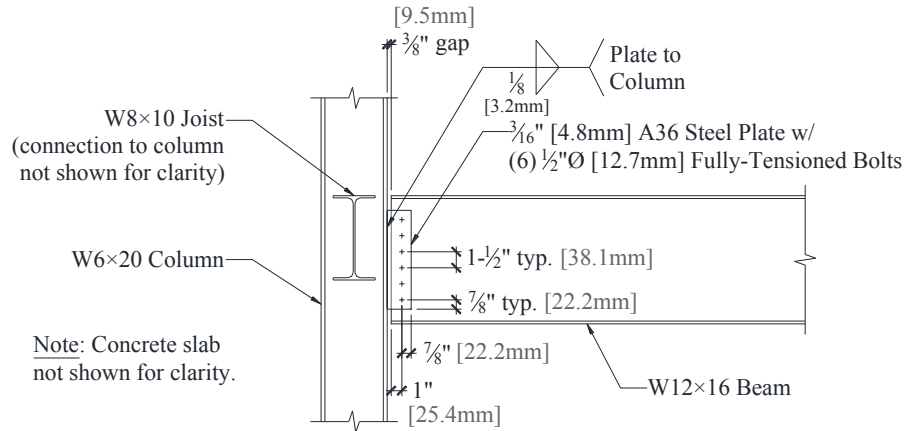
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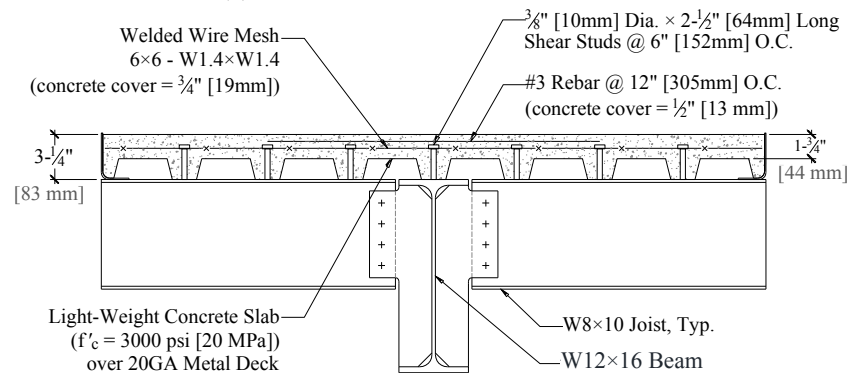
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Figure 3 Test specimen and instrumentation

158



(a) Side view of shear-tab connection



(b) Cross section of composite floor slab

Figure 4 Details of shear-tab connection and composite concrete slab

159

160 Table 1 summarizes the measured yield (F_y) and ultimate (F_u) stresses of steel coupons for the
 161 W12×16 beam, W6×12 column and 5mm (3/16 in) shear-tab plate at an offset strain of 0.2%. The
 162 average yield stress values for the W12×16 and W6×20 coupons were 338MPa (49ksi) and
 163 365MPa (53ksi), respectively. In order to measure the concrete slab properties, four concrete
 164 cylinders were tested; two of them were tested at 28 days and the remaining ones on the day of
 165 hybrid testing (at 51 days). Table 1 also lists the results from the concrete cylinder tests. The
 166 compressive strength of cylinder #1 was not obtained due to malfunctioning instrumentation.

167

Table 1 Measured material properties for steel cross sections and concrete slab

Coupon/ Specimen No	W12×16 Beam		W6×20 Column		A36 Steel Plate		Concrete Slab			
	Loc.	F_y [MPa]	F_u [MPa]	Loc.	F_y [MPa]	F_u [MPa]	F_y [MPa]	F_y [MPa]	Cyl. Age [days]	f'_c [MPa]
1	Web	345.4	435.1	Web	364.0	451.6	413.0	464.0	28	NA
2	Web	366.5	426.1	Web	376.5	453.0	415.8	465.4	28	22.5
3	Flange	328.2	424.7	Flange	361.3	449.5	—	—	51	25.3
4	Flange	333.7	426.8	Flange	365.4	448.8	—	—	51	25.9

168 3.1.2 Numerical Substructure Model

169 The numerical substructures including the MRF and the rest of the gravity framing were modeled
170 in OpenSees using a concentrated plasticity approach. The inelastic moment-rotation response of
171 the shear-tab connections was simulated with the hysteretic model developed by Lowes and
172 Altoontash [30] and modified by Mitra [31]. This model was calibrated to test data on conventional
173 shear tab beam-to-column connections [1]. To account for potential nonlinearity in beams and
174 columns of the gravity framing system, nonlinear plastic hinge elements using the hysteretic model
175 by Lignos and Krawinkler [28] were considered. The potential panel zone inelastic shear distortion
176 was considered with the Krawinkler model [4]. Geometric nonlinearities were included using the
177 P-Delta formulation in OpenSees. The numerical substructure included flexible supports that
178 matched the experimentally measured column base flexibility of the physical substructure. To
179 account for the ratio of number of moment to gravity frames in the direction of loading, the
180 numerical model of the moment frame shown in Figure 2(b) was encapsulated in a separate
181 OpenSees model as a second numerical substructure. This substructure was coupled with the
182 gravity frame model via OpenFresco. Thus, the force feedback vector returned from the moment
183 frame numerical substructure to the integration algorithm was modified by 2/3 (ratio of moment
184 to gravity frames). In this coupling procedure, the lateral displacements of the floor diaphragms
185 for the moment and gravity frames were constrained at each level. Viscous damping was
186 considered using the Rayleigh damping model based on the approach discussed in Zareian and
187 Medina [32]. A damping ratio of 2.0% was assigned to the first two natural frequencies of the steel
188 MRF.

189 The hybrid simulations were conducted with the modified implicit Newmark method with constant
190 number of iterations [34-35] as implemented in OpenSees [36]. The complexity of the numerical
191 model required the use of an integration time step as small as 0.00117s with eight iterations for the
192 higher intensity ground motion shaking. The accuracy and stability of the integration parameters
193 for the hybrid model were evaluated by comparison to the conventional numerical model used for
194 the pre-test predictions [17].

195 3.2 Instrumentation of the Test Specimen

196 3.2.1 Uniaxial Strain Gauges

197 A total of thirty-nine uniaxial strain gages were strategically placed on the steel components of the
198 test specimen as shown in Figure 3(a) to compute the distribution of bending moment and axial
199 load demands along the steel beams and columns. The strain gauges were grouped at different
200 plane girder and column cross sections so as the flexural and axial demands could be computed by
201 assuming linear extrapolation of the corresponding force demands. Member forces were also
202 estimated at girder sections with composite slab by joint equilibrium with column moments while
203 neglecting the interaction with the shear force. For the internal joint with two composite beams,
204 the moment in the extended half-beam was determined from the axial force on the vertical link
205 member. For the hybrid model, the shear and moment at the top end of the first story columns was
206 returned as feedback forces from the experimental substructure. It is noteworthy that
207 measurements of the instrumentation system were set to zero at the beginning of the hybrid
208 simulations. The moments and rotations of the physical substructure presented later do not include
209 initial values from gravity loading of the physical subassembly from dead weight.

210 3.2.2 String and Linear Displacement Potentiometers

211 Figure 3 shows 18 string displacement potentiometers (string pots) and six linear displacement
212 potentiometers (linear pots) installed on the test specimen to measure chord rotations over shear-
213 tab connections columns and girders as well as panel zone shear distortions. Rotations were
214 measured over a length of 660 mm (26 in) for columns and 762 mm (30 in) for beams as shown in
215 Figure 3. Four additional string pots, not shown in Figure 3, were used to measure the out-of-plane
216 response of the test specimen (one string pot was attached at each joint of the test specimen) and
217 the relative displacement of the two horizontal actuators with respect to the ground floor (one
218 string pot was placed at the head of each horizontal actuator).

219 3.2.3 Krypton Coordinate Tracking System

220 A total of twenty-five light-emitting diodes (LEDs) were attached at different locations around the
221 end column of the test specimen as shown in Figure 3. The Krypton System was used to track the
222 three-dimensional position of LEDs through infrared cameras. Due to field of view limitations of
223 the camera system, LEDs could not be placed around the entire physical test specimen. The
224 arrangement of LEDs shown in Figure 3(c) permitted obtaining localized rotations over a shear-
225 tab connection, beam and column ends, as well as the shear distortion of the end column panel
226 zone. The deformation demands of the end column base plate were also obtained with the same
227 system. This dense instrumentation captures the distribution of deformations throughout the frame
228 subassembly and can be used to more closely assess numerical models.

229 3.3 Loading Frame

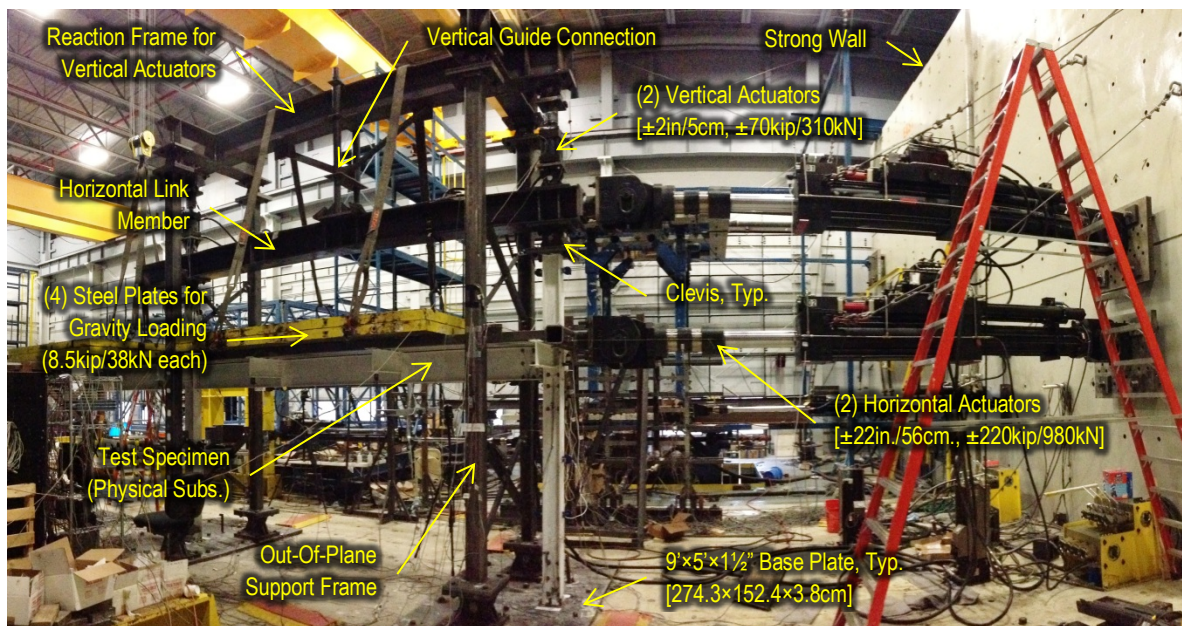
230 The experimental setup shown in Figure 5 was designed to apply lateral as well as vertical loads
231 on the test specimen during a hybrid simulation. The test specimen was mounted on the strong
232 floor using two interface $274.3 \times 152.4 \times 3.8$ cm ($9' \times 5' \times 1\frac{1}{2}''$) steel plates. These base plates added
233 flexibility at the column supports, with an equivalent rotational stiffness quantified with
234 measurements from the Krypton system. Lateral loading was applied through two horizontal
235 actuators controlling the lateral displacements at the first and mid-second story levels of the
236 physical substructure. The horizontal link member transferred the lateral loads from the top
237 horizontal actuator to the top of the physical substructure columns connected by pins. The bottom
238 horizontal actuator was connected to the floor level of the test specimen through a HSS6×6×½
239 loading beam (see also Figure 3). This loading beam was welded to the end column and anchored
240 to the floor slab using 4 steel rods embedded in the concrete slab (the steel rods were placed at
241 least 305mm (12 in.) away from the center line of the beam to avoid strengthening the connection).
242 Although the latter connection aimed at transferring part of the lateral loads through the slab (more
243 similar to the actual load path in reality), the more direct load path and higher stiffness of the
244 welded connection likely transferred most of the lateral load directly to the end column. This load
245 was then transferred through the beam as an axial force to the other column. This load path is
246 somewhat different to that of a realistic gravity frame system where the floor inertial forces are
247 transferred to the frame via collector beams. This should be considered for future studies to
248 properly assess the influence of composite action on the behavior of steel frame buildings.

249 Gravity loads at the elevated first floor level of the physical substructures were simulated by four
250 37.8-kN (8.5-kip) steel plates. These were placed on the gravity frame physical substructure to

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251 simulate a uniformly distributed dead load of 4.3 kPa [90 pound per square foot (psf)] and 25% of
252 the code-specified live load of 2.4 kPa (50 psf). Additional gravity loads on the columns of the
253 physical substructure from upper stories were applied with two vertical actuators. A reaction frame
254 for these vertical actuators was mounted on top of the support frame. A vertical guide connection
255 was devised between the reaction frame and horizontal link member. It consisted of a vertical steel
256 pipe (connected to the horizontal link member at the bottom) freely sliding inside an outer pipe
257 (connected to the reaction frame at the top and braced to maintain a right angle). This connection
258 provided horizontal coupling between the reaction frame and the horizontal link member without
259 transferring vertical forces. This helped to maintain a vertical alignment of the force-controlled
260 actuators (mounted between these two members) and to accommodate the actuator vertical
261 displacements.

262 A support frame surrounded the physical substructure to provided out-of-plane support and serve
263 as a reaction frame for vertical actuators. The various components of the test setup (support frame,
264 reaction frame, and horizontal and vertical link members) were connected through clevises so that,
265 under the application of lateral loads, the supporting frame swayed and guided the physical
266 substructure in the direction of loading providing minimal lateral resistance. Clevises at the top of
267 the columns of the test specimen and end of cantilevered beam were provided to simplify the
268 boundary conditions at the interface with the numerical substructure. The cantilever portion of the
269 first-story girder was underpinned using a vertical link member (with clevises at the top and
270 bottom) to limit vertical deflection at the tip and generate lateral displacement dependent forces at
271 the fixed joint. Rotations and moments at the boundaries were not fully enforced since they are
272 difficult to apply with linear hydraulic actuators. However, these simplified boundary conditions
273 with overlapping domain were part of the substructuring strategy to apply equivalent forces at the
274 joints [17].



275

276

Figure 5 Experimental setup for hybrid simulation at University at Buffalo

277

278 **3.4 Loading Protocol**

279 The hybrid model was subjected sequentially to four increasing intensities of the 1989 Loma Prieta
 280 ground motion recorded at Los Gatos Presentation Center (LGPC) station. The ground motion
 281 amplitude was scaled to 25%, 100%, 150%, and 200%. The unscaled response spectra of the
 282 selected earthquake record matched approximately the maximum considered earthquake (MCE)
 283 at the fundamental period of the prototype steel frame building in the loading direction of interest.
 284 The 150% and 200% seismic events represent low-probability of occurrence seismic events that
 285 could potentially trigger earthquake-induced collapse.

286 **4 EXPERIMENTAL RESULTS**

287 The hybrid simulations generated insight into the behavior of the tested gravity frame subassembly
 288 revealing that damage was mainly concentrated at the shear-tab connections with minimal yielding
 289 on the structural beams and columns. The shear-tab connections sustained large rotation demands
 290 (up to 0.10 rad.) while maintaining their vertical load carrying capacity. These observations are
 291 consistent with prior findings regarding the cyclic behavior of gravity connections [1].

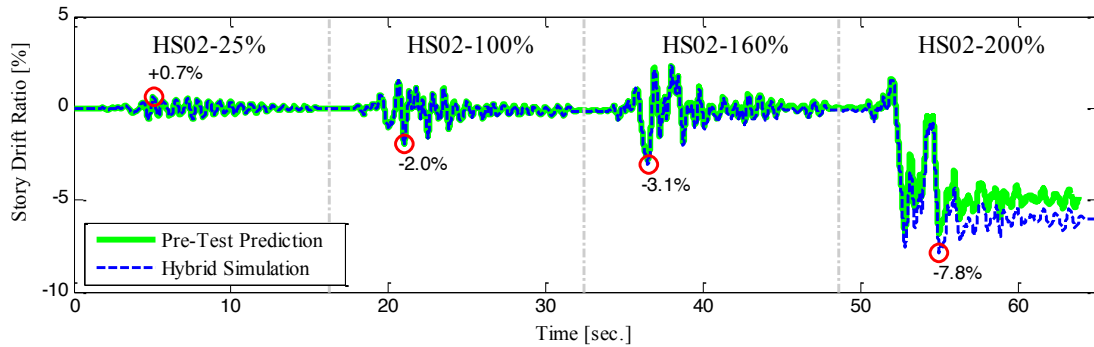
292 Table 2 summarizes the testing sequence and provides the corresponding peak roof and story drift
 293 ratio demands of the hybrid model for reference. Figure 6 shows the first story drift history
 294 resulting from the four hybrid simulation experiments. The pre-test numerical predictions are
 295 shown in the same figure for comparison purposes. The global response of the hybrid model
 296 compared favorably with numerical pre-test predictions including through the high intensity
 297 ground motions. The column base flexibility was experimentally measured prior to testing and
 298 accounted for in the numerical substructure of the hybrid model and numerical pre-test predictions.
 299 While the shear force contribution of the physical substructure representing the gravity frame to
 300 the response of the complete frame system is small, the correlation to pre-test numerical
 301 simulations indicate that reliable results were obtained from the hybrid simulation.

302 **Table 2 Summary of peak roof and story drift ratios for hybrid simulation tests**

Test ID	Simulation Duration	Actual Time Duration	Peak Roof Drift Ratio [%]	Peak Story Drift Ratios [%]			
				1 st Story	2 nd Story	3 rd Story	4 th Story
HS02-25%	16.2s	3h:22m	+0.6	+0.7	+0.6	+0.6	+0.4
HS02-100%	16.2s	2h:48m	-1.7	-2.0	-2.2	-1.8	-1.1
HS02-160%	16.2s	2h:48m	-2.5	-3.1	-3.3	-2.4	-1.2
HS02-200%	16.2s	3h:22m	-6.5	-7.8	-9.1	-7.8	-1.4

303 The physical substructure being part of the gravity frame was expected to have a minor
 304 contribution to the total lateral resistance of the frame. However, there was a noticeable difference
 305 in the residual deformation at the end of the hybrid simulation test series that mainly occurred
 306 during the 200% scaled seismic intensity. This is attributed to residual deformations accumulated
 307 from previous seismic intensities that are very sensitive to various modeling parameters [37]. The
 308 influence of numerical models representing the shear-tab beam-to-column connections, steel
 309 beams, columns and panel zones is examined in more detail in the subsequent sections.

310



311
312

Figure 6 First story drift ratio history resulting from hybrid simulations

313 4.1 Hysteretic Behavior of Shear-Tab Beam-to-Column Connections

314 Figure 7 shows the deduced moment-rotation relation and Figure 8 shows the corresponding
 315 photographs of the damage state of shear-tab connection A of the physical substructure. The
 316 location of the shear-tab connections, designated as shear-tab connection “A”, B” and “C”, is
 317 indicated with a sketch right above Figure 7. The shear-tab connections of the physical substructure
 318 are located within the overlapping domain. As such, the numerical model includes the simulated
 319 response of the same shear-tab connection and provide a basis for comparisons. The difference in
 320 strength and stiffness combined with the substructuring technique resulted in a redistribution of
 321 force demands within experimental and numerical joints, as is evident at higher seismic intensities.
 322 The peak inelastic rotation demands are indicated in each plot and also summarized in Table 3 for
 323 all the physical beam-to-column connections.

324 **Table 3 Peak rotations (in rad) in shear-tab beam-to-column connections of the test**
 325 **specimen (locations identified in Figure 7).**

Test ID	Shear-Tab Connections		
	“A”	“B”	“C”
HS02-25%	+0.005	-0.006	+0.008
HS02-100%	-0.020	+0.014	+0.015
HS02-160%	-0.026	+0.023	-0.025
HS02-200%	-0.069	+0.049	-0.048

326 The shear-tab connection response in Figure 7 includes the preliminary elastic hybrid simulation
 327 HS02-Sine and the test HS02-25%F. The latter test resulted in higher than expected loading due
 328 to issues related to the hybrid simulation and later repeated. The initial low amplitude response of
 329 the shear-tab connection was exhibited in these two preliminary tests. Due to the gravity-induced
 330 load application on the physical specimen using actuators at the beginning of the hybrid simulation,
 331 the moment-rotation relations of the physical shear-tab connections shifted vertically in most
 332 cases. This vertical offset was maintained in the measured data to better capture the peak response,
 333 though it can result in an offset between the physical and numerical data. Figure 8 shows photos
 334 at various damage states that were either taken at the end of the simulation or after the maximum
 335 deformation demands occurred thereby directly associating them with the maximum rotation
 336 demands indicated in the figures.

337 The response of the three shear-tab connections (physical and numerical) remained elastic for the
338 first preliminary hybrid simulation conducted with the sine-pulse ground motion, HS02-Sine, as
339 observed in Figure 7 (a). The elastic rotational stiffness of the shear-tab connections A, B, and C
340 were estimated from experimental measurements as 2.0×10^5 , 3.0×10^5 , and 1.3×10^5 kip-in/rad,
341 respectively. These values are comparatively larger than the predicted value in the numerical
342 model of 0.4×10^5 kip-in./rad. following the recommendations of Liu and Astaneh-Asl [1]. The first
343 attempted hybrid simulation (HS02-25%F) was not successfully completed with the first story of
344 the physical substructure unexpectedly subjected to a maximum inter-story drift ratio of 1.5%.
345 Figure 7 (b) shows that the measured moment-rotation response exhibited modest inelastic
346 response (with rotations in the order of 0.01 rad.) mainly due to friction between the shear-tab
347 plate and the beam web. Also, minor stiffening is observed likely due to bolt bearing. Visual
348 inspection of shear-tab connections identified flaking of white wash indicative of relative
349 movement between the shear-tab plate and beam web.

350 The successful repeat of the service level earthquake test (HS02-25%), in Figure 7 (c) demonstrate
351 stable hysteretic response for the shear-tab connections. The energy dissipation due to friction
352 between the shear-tab plate and the beam web was not captured by the numerical substructure of
353 the gravity frame that remained mostly linear. At the MCE intensity (HS02-100%), a pinched
354 hysteretic response due to bolt bearing was observed. In this case, the numerical model reasonably
355 captured this behavior as well as the peak bending demands of the physical shear-tab connection
356 as seen in Figure 7 (d). Slight yielding of the beam web near the connection was evident for the
357 shear-tab connection A shown in Figure 8(b). Through the MCE level intensity, the shear-tab
358 connections demonstrated ductile behavior governed mainly by (i) friction between the shear-tab
359 plate and beam web and (ii) yielding of the shear-tab plate near the bolt holes and yielding of the
360 beam web for the exterior shear-tab plate in Connection "A".

361 At seismic intensities beyond MCE, significant binding of the lower beam flange on the column
362 flange governed the response of the shear-tab connections. Binding occurred at about 0.02 rads
363 under negative bending in connection "A" for HS02-160%. This resulted into an increase of the
364 moment demand within the connection. Binding did not occur in the rest of the shear-tab
365 connections (B and C) since these interior connections present typically smaller rotation demands
366 at this level. For HS02-200%, connection C showed evidence of binding at about -0.02 rads.
367 Connection B was loaded mostly under positive bending with no binding. Evidence of binding is
368 shown for connection A in Figure 7(e,f) and Figure 8(c,d). Binding can lead to plastic hinging in
369 the column and this behavior was not observed during the hybrid simulations. Subsequent
370 pushover tests to failure did show evidence of this behavior [16].

371 Notably, no bolt fracture or shear-tab plate fracture was observed in any of the connections. This
372 is in contrast to the experimental program of Liu and Astaneh-Asl [1] where fracture of bolts and
373 shear-tab plates were typically reported after binding. This is primarily attributed to deeper beams
374 utilized in the testing program by Liu and Astaneh-Asl, and the cumulative damage prior to failure
375 resulting from the standard symmetric loading history. Similar observations regarding differences
376 between loading protocols and seismic testing prior to collapse are discussed in Lignos *et al.* [9]
377 and Lignos and Krawinkler [18] as well as recently conducted collapse tests on steel columns [38-
378 39]. The observed differences in the measured flexural strength of the current testing program and
379 the one conducted by Liu and Astaneh can be attributed to the shallow versus deep beams that
380 were utilized in the two testing programs, respectively [40].

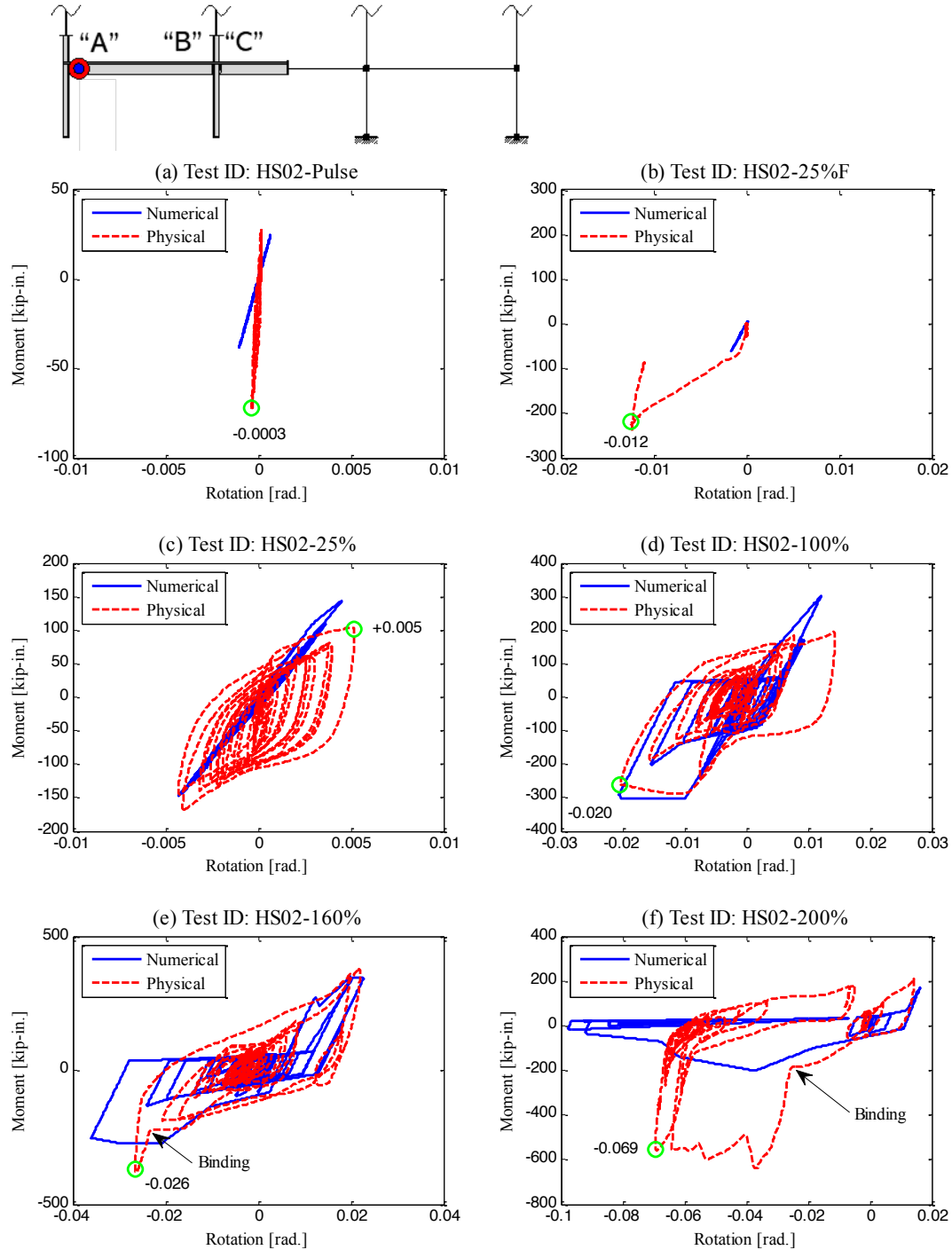
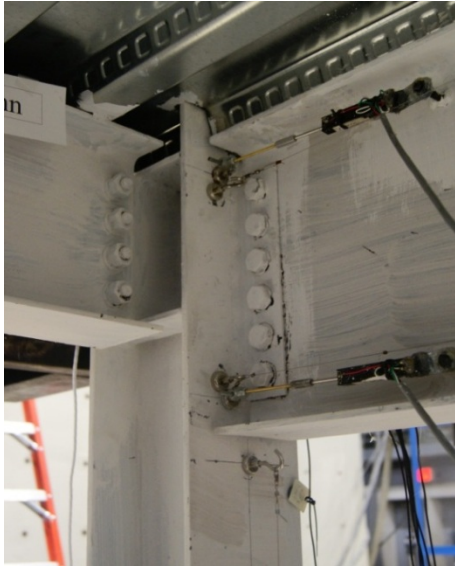


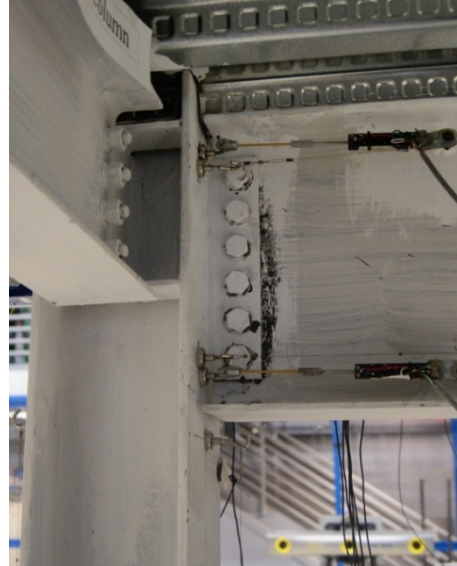
Figure 7 Moment-rotation relations for shear-tab connection "A"

381

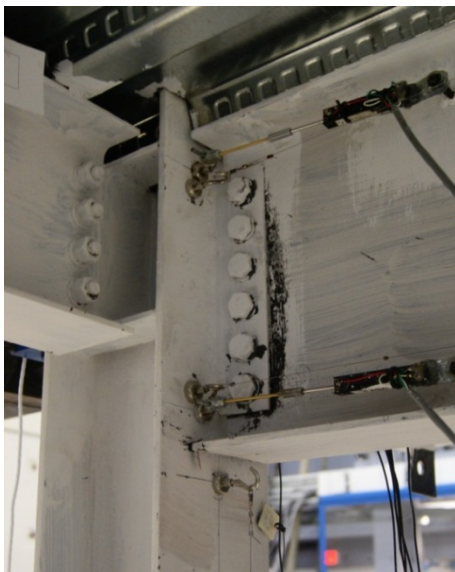
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(a) Shear-Tab Conn. "A" [+0.005 rad.], HS02-25%



(b) Shear-Tab Conn. "A" [-0.020 rad.], HS02-100%



(c) Shear-Tab Conn. "A" [-0.026 rad.], HS02-160%



(d) Shear-Tab Conn. "A" [-0.069 rad.], HS02-200%

383

Figure 8 Photographs of the damage of shear-tab connection "A"

384

4.2 Concrete Slab

385

Damage of the concrete slab was limited to the regions around the columns. Minimal concrete

386

spalling was observed around the interior column as show in Figure 9, while a diagonal crack

387

developed around the east column due to the lateral forces transferred by the horizontal actuator.

388

While there was some evidence of damage on the concrete slab, the concrete floor slab did not

389

lose its vertical load carrying capacity while supporting a dead load. This is worth mentioning

390 considering the extend of inelastic damage observed in composite floor systems around the steel
391 columns in typical fully restrained beam-to-column connections [41].



392

393

Figure 9 Minor spalling of slab near column after HS02-200%

394

4.3 Steel Columns

395 Both columns in the experiment remained essentially elastic through the test series except for the
396 region near the column bases where white wash flaking revealed some flange yielding. The
397 corresponding moment-rotation relations confirmed this observation. While the level of axial
398 forces for the interior and end (exterior) columns due to gravity loading was 13% and 26% of the
399 predicted column axial strength (defined as the column cross sectional area times the measured
400 material yield stress), respectively, these minimally increased to 17% and 27% at the largest
401 ground motion intensity due to dynamic overturning effects.

402 During the last hybrid simulation at HS02-200%, two bolts at each column base plate (4 bolts total)
403 fractured in tension as shown in Figure 10. Bolt fracture occurred at a peak first story drift ratio of
404 3.7% to 4.7%. The column bases of the physical substructure lost their moment resistance at this
405 point and rocked thereafter. The flexible supports of the numerical substructure (modeled with
406 elastic springs) allowed for yielding at the base of the numerical columns for the last two hybrid
407 simulations (HS01-160% and HS01-200%). Therefore, although the flexible supports helped to
408 improve the predictions for low levels of loading, they resulted in unrealistic predictions for large
409 levels of loading in hybrid simulations HS02-160% and HS02-200%. Note that elastic
410 deformations are not shown for the numerical model in Figure 10(a).

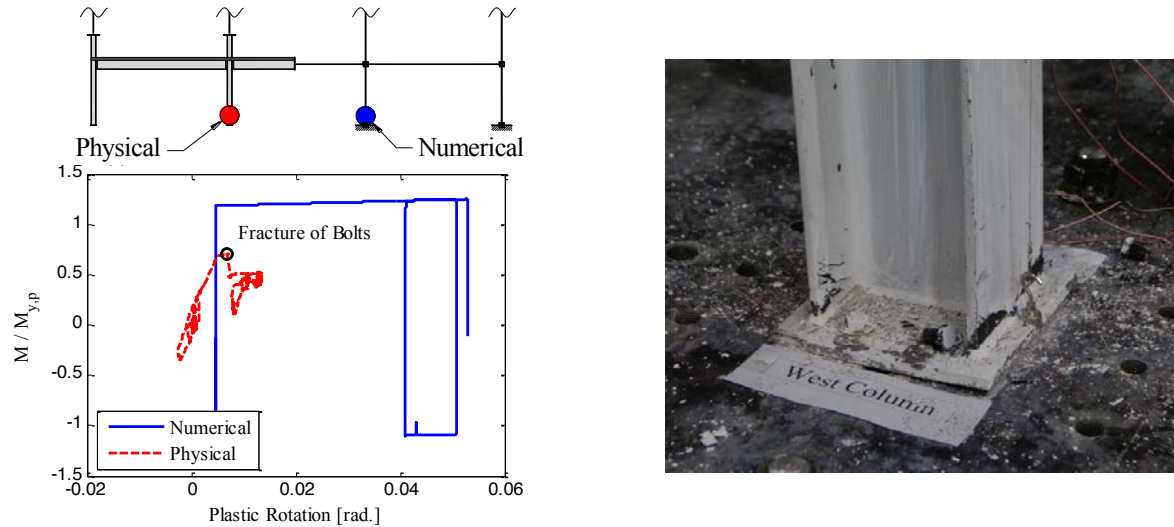
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415



(a) moment-rotation at gravity column base

(b) Photograph of damage after test

416 **Figure 10 Response of interior column near base during HS02-200% test**

417 **4.4 Beam-to-Column Panel Zone Joint**

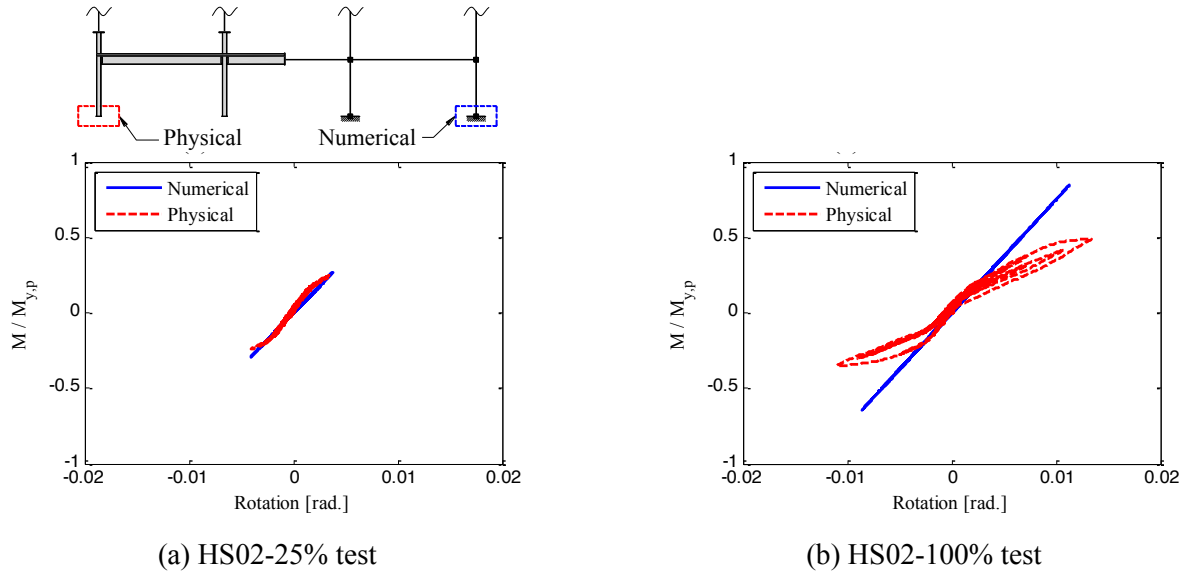
418 Visual inspection of the beam-to-column joints showed minor panel zone yielding during the last
419 hybrid simulation at 200% of the LGPC ground motion (HS02-200%). This is also evident from
420 white wash flaking shown in Figure 8. Measurements of the panel zone distortion could not be
421 obtained due to the floor beams attached transversely to the panel zone that blocked the vision of
422 the Krypton camera and precluded installation of displacement sensors.

423 **4.5 Column Base Plates**

424 A comparison of the base plate response of the exterior physical and numerical columns shows a
425 similar linear response up to the HS02-25% test as shown in Figure 11(a). This is expected because
426 the elastic stiffness of the numerical model was calibrated before the test. However, the response
427 of the physical column base plate support during hybrid simulation HS02-100% shown in Figure
428 11(b) resembles a self-centering hysteretic response as a result of rocking at the base of the gravity
429 columns. The column base plate, initially straight, bended and adopted a rounded convex shape
430 upon cyclic loading and consequently flatten the flag-type hysteretic response. Fracture of the first
431 bolt at the physical column occurred at a rotation of approximately 0.03 rad. Fracture of the second
432 bolt moved the LEDs of the Krypton system and did not allow for capturing the subsequent column
433 base response.

434

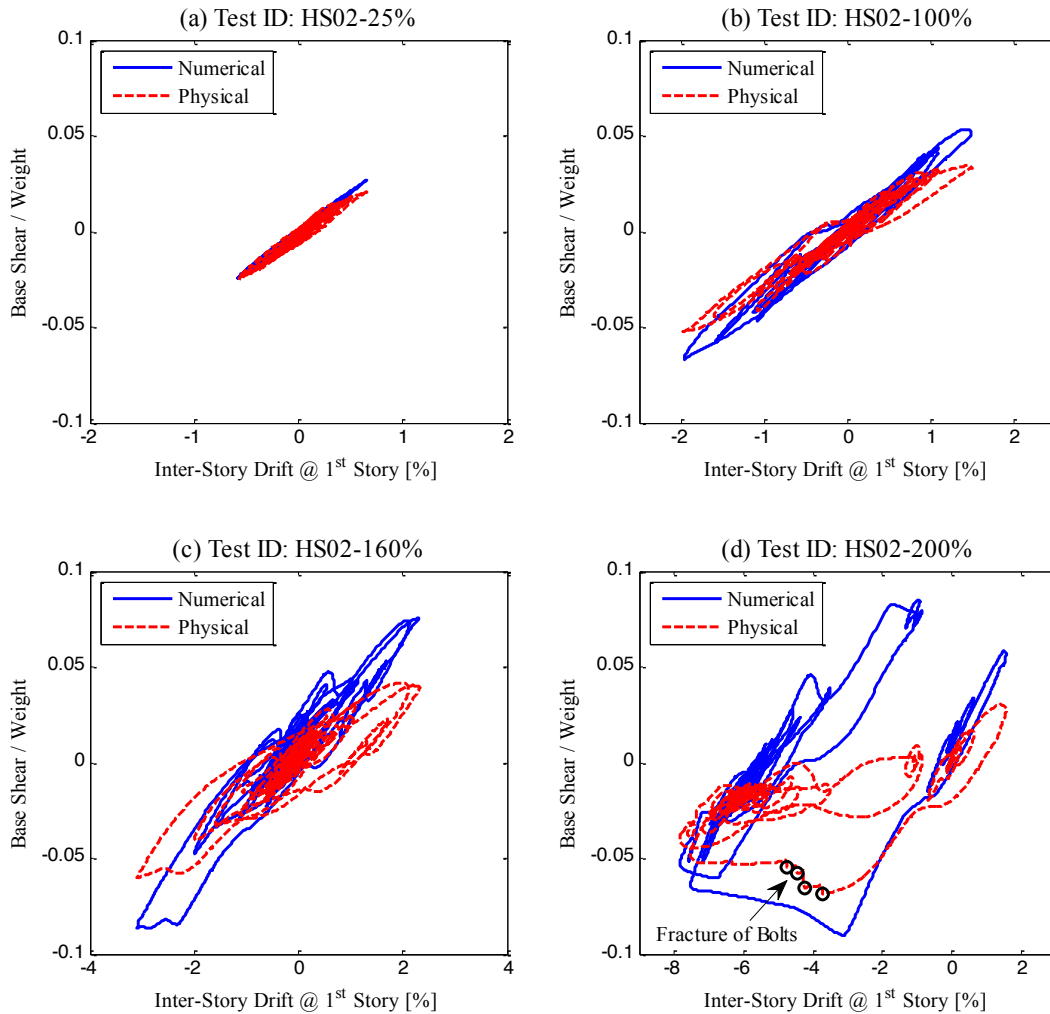
435



436 **Figure 11 Deduced moment-rotation relations for column base plate**

437 **4.6 Subassembly Base Shear Force**

438 Figure 12 presents the first story base shear vs the first story drift ratio for the physical and the
 439 equivalent numerical model. The base shear values were obtained by summing the column shear
 440 forces obtained from column end moments. The base shear is normalized by one third of the total
 441 seismic weight of the half-scale building to represent the base shear of all gravity frames. The peak
 442 normalized base shear is about 0.14 for the gravity framing while the normalized base shear force
 443 of the steel MRF is 0.2 [11]. It can be seen in Figure 10(a) that the elastic flexibility of both the
 444 physical and numerical model is similar. However, for large levels of loading, the numerical sub-
 445 structure slightly over-predicts the lateral yield strength of the physical model. This was partly
 446 attributed to the elastic springs at the base of the columns used to simulate the flexibility of the
 447 supports that eventually led to yielding at the base of the columns. The experimental findings
 448 suggest that the contribution of the gravity framing to the lateral load resistance and strength of a
 449 steel frame building is not insignificant. In particular, the normalized design base shear is 0.08 [18]
 450 for the tested steel frame building. Therefore, the corresponding overstrength factor $\Omega = 0.34/0.08$
 451 $= 4.25$ in this case. This value is somewhat larger than those presented in ASCE 7-16 [42] for steel
 452 frame buildings with special moment frames but fairly consistent with those presented in Elkady
 453 and Lignos [43] based on extensive nonlinear building simulations of steel frame buildings with
 454 special moment frames.



455

456 **Figure 12 Normalized Base Shear vs first story drift for experimental and numerical**
 457 **gravity frame substructures**

458

5 SUMMARY AND CONCLUSIONS

459 A 1½-bay by 1½-story subassembly of a steel moment-resisting frame with concrete floor slab
 460 was tested via hybrid simulation with substructuring. The ½-scale physical model was subjected
 461 to large story drifts (i.e., 16.4% at the first story) to observe its seismic behavior near collapse. The
 462 large subassembly allowed for the systematic documentation of the hysteretic behavior of various
 463 components of the gravity framing including the steel beams, columns, the panel zone, the column
 464 bases and their interaction with neighboring members under realistic combinations of lateral and
 465 axial loads. These tests thus represent an improvement to traditional cyclic tests on cruciform or
 466 T-shaped subassemblies as a step towards better characterizing system-level response. The data
 467 obtained from these tests demonstrate that hybrid simulation can be a cost-effective tool for
 468 assessing the seismic behavior of moment frames near collapse. The capabilities of numerical
 469 models to trace the response of the above mentioned components were also assessed using the data
 470 obtained from the experiments. The key conclusions of the paper are summarized as follows:

- 471 • The elastic stiffness of the gravity framing connections during service level shaking was at
472 least twice larger than what is recommended in ASCE 41-17 [44] for partially restrained
473 beam-to-column connections. Such differences diminished at higher ground motion
474 intensities when the connections exhibited considerable inelastic behavior.
- 475 • Beam binding to the gravity column face at relatively small rotation demands (0.02 rads)
476 did not cause bolt and shear tab fracture of any of the gravity framing connections. This
477 contradicts findings from conventional shear tab connection tests [1](Liu and Astaneh
478 2000). This is attributed to differences in the respective beam depths between testing
479 programs (shallow versus deep) as well as the inelastic cumulative damage arising from
480 symmetric loading protocols.
- 481 • Cosmetic damage was observed in the concrete slab, the steel columns and the beam-to-
482 column joint panel zones of the physical substructure. This is worth noting considering the
483 extent of inelastic damage observed in composite floor beams that are part of fully
484 restrained beam-to-column connections.
- 485 • The gravity column base connections experienced considerable inelastic damage involving
486 steel plate yielding and anchor rod fracture at seismic intensities associated with a
487 maximum considered earthquake. The column base connection rocked at higher intensities
488 exhibiting a favorable hysteretic behavior with self-centering characteristics.
- 489 • The corresponding overstrength of the combined steel MRF and gravity framing systems
490 was more than 4, which is somewhat larger than the values reported in ASCE 7-16 [42],
491 but consistent with prior studies that assessed the influence of the gravity framing system
492 on the system behavior factors in steel frame buildings with special moment frames.
- 493 • Although numerical models representing the gravity framing components estimate in a
494 dissent manner the global engineering demand parameters (story drift ratios and story shear
495 forces) of the gravity framing system, they should be properly refined to predict local
496 engineering parameters if these are of interest.

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