

System reliability upper bound assessment for health-aware control of complex systems



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Student Poster

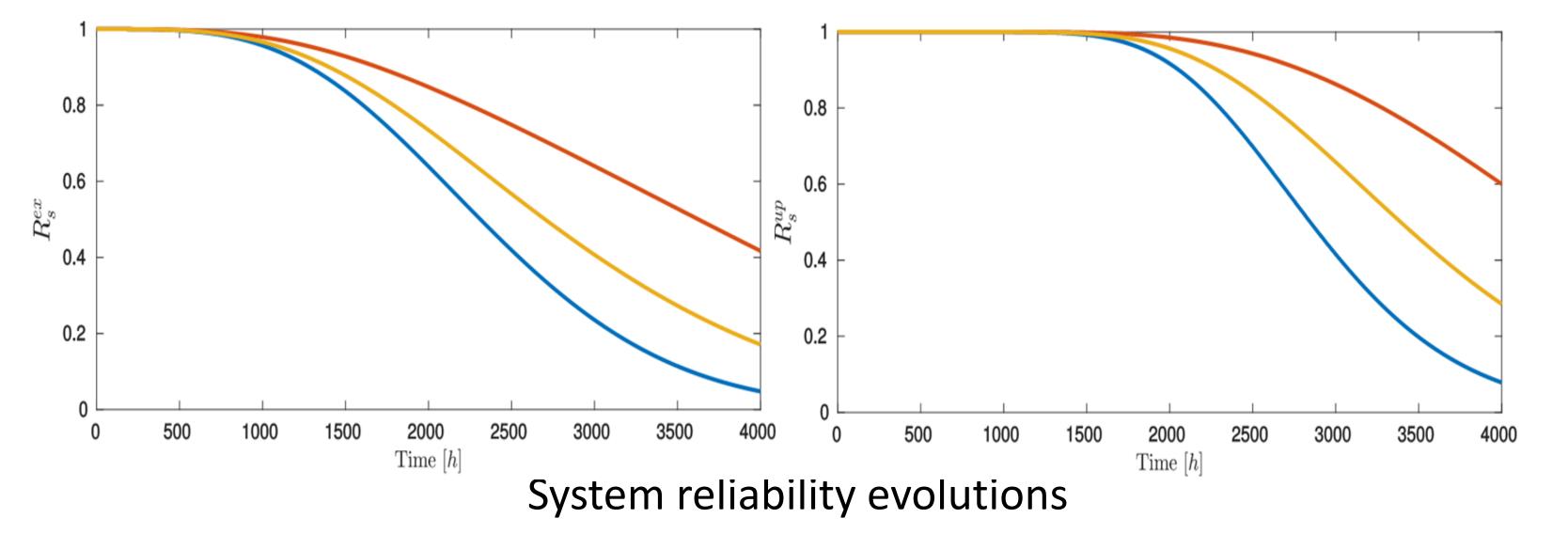
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Research Objective

This work investigates the possibility of using an approximate computation of the system reliability into a HAC scheme. Specifically, an upper bound of the system reliability will be computed in order to overcome the computational problem of determining the exact system reliability of a complex system and its integration into a health-aware control strategy [1].

State of Research

Even with the approximate approach, better system reliability results than in the nominal case are obtained.



Expected Contributions

- A HAC scheme for complex systems based on the system reliability upper bound computation.
- A reduction of the system reliability computation cost by using the upper bound approximation.

Research Details

MPC scheme tuning methodology

- 1. Enumerate the minimal path sets P_i
- 2. Compute the structure function

$$\Phi_{-}(\mathbf{X}) = 1 - \prod_{s=1}^{s} \left(1 - \prod_{s \in \mathbf{X}} X_{s} \right)$$

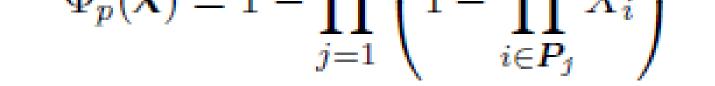
Procedure	Exact [s]	Upper bound [s]
System reliability	0.0981	0.0608
Birnbaum's measure	0.5060	0.2329
TOTAL	0.6041	0.2937

Computation times

Next Steps

- These results encourage us to do further research in the domain of HAC for complex systems.
- Investigate the use of a system reliability lower bound approximation to implement the HAC methodology.

Comparative study



3. Compute the system reliability upper bound

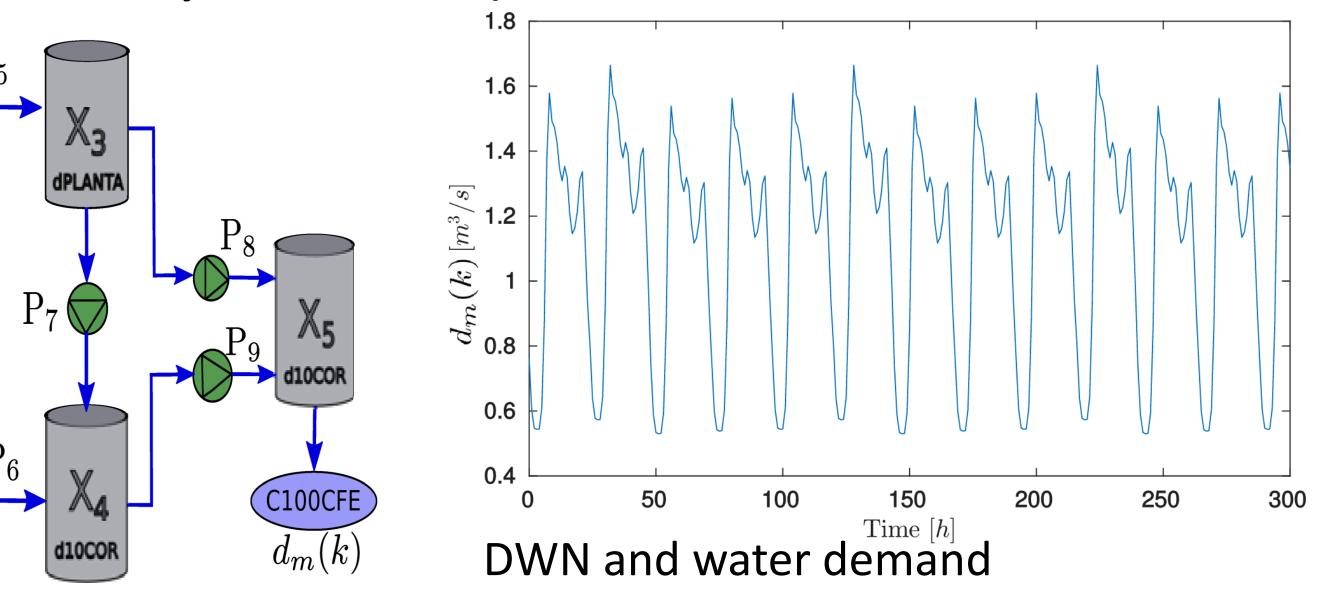
 $R_s^{up} = 1 - \prod_{j=1}^s \left(1 - \prod_{i \in \mathbf{P}_i} R_i \right)$

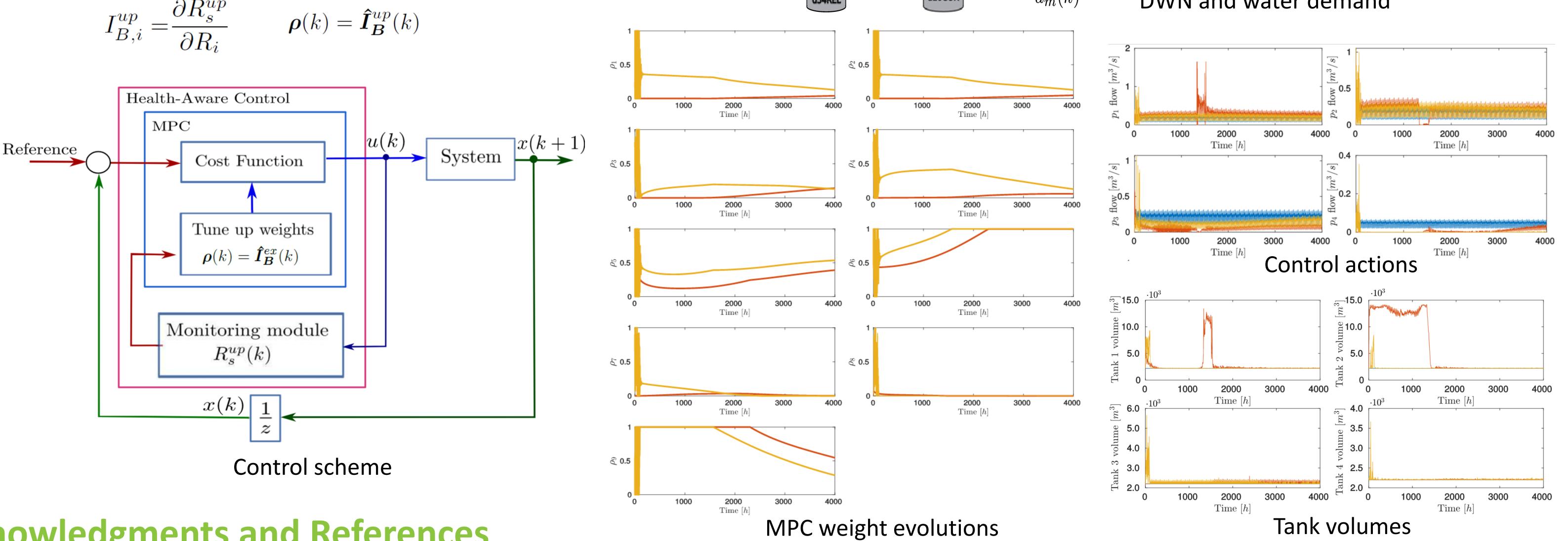
4. Compute the components reliability

 $R_i(t) = e^{-\int_0^t \lambda_i(v) dv} \quad \lambda_i(t) = \lambda_i^0 \left(1 + \beta_i \int_0^t |u_i(v)| dv \right)$

5. Compute the MPC weights based on a normalized component Birnbaum's measure

Three case studies: exact approach ($\rho(k) = \hat{I}_B^{ex}(k)$), approximate approach ($\rho(k) = \hat{I}_{B}^{up}(k)$), nominal approach $(\rho = 1, \text{ no reliability feedback}).$





Acknowledgments and References

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Salazar, J. C., Weber, P., Nejjari, F., Sarrate, R., & Theilliol, D. (2017). System reliability aware model predictive control framework. Reliability Engineering & System Safety, 167, 663 - 672. [1]