Subsidizing Liquidity: The Impact of Make/Take Fees on Market Quality*

Abstract

Facing increased competition, over the last decade many stock exchanges changed their trading fees to maker-taker pricing, an incentive scheme that rewards liquidity suppliers and charges liquidity demanders. Using a change in trading fees on the Toronto Stock Exchange, we study whether and why the breakdown of trading fees between liquidity demanders and suppliers matters. Posted quotes adjust after the change in the fee composition, but the transaction costs for liquidity demanders remain unaffected once fees are taken into account. Yet, as posted bid-ask spreads decline, traders, in particular retail, use aggressive orders more frequently, and adverse selection costs decrease.

JEL Classification: G12, G14.

Keywords: Liquidity rebates, market quality, trading, maker-taker pricing, retail trading

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The equity trading landscape has changed dramatically over the past two decades, bringing with it a host of new policy concerns. Technological innovation in the 1990s allowed the entry of fully electronic trading platforms, known in the United States as electronic communication networks (ECNs). Subsequent regulatory reforms¹ facilitated the competition among trading platforms, eliminated the privileges of incumbent exchanges, and ultimately forced the incumbents to abandon physical trading floors and become electronic limit order markets.

In a limit order market, a trader can either specify the desired price and quantity by posting a limit order or the trader can accept the terms of a previously posted limit order by submitting a market order. To compete for trading volume, during the last decade most equity trading platforms in North America introduced cash incentives for posting attractively priced limit orders. These cash payments are part of an incentive scheme known as *maker-taker pricing*. Understanding the impact of trading platforms' innovative offerings, such as maker-taker pricing, has become increasingly important in the new competitive environment. In the past, exchanges in North America were non-profit entities with a mandate to serve their members. Facing stiff competition, they converted to shareholder-owned corporations, raising concerns that their profit-motivated "incentive schemes may run counter to the integrity of pricing and investor protection."²

In this paper, we empirically analyze the impact of the maker-taker pricing model on market liquidity, trader behavior, and trading volume. The International Organization of Securities Commissions (IOSCO) defines maker-taker fees as "a pricing model whereby the maker of liquidity, or passive [limit] order, is paid a rebate and the taker of liquidity,

¹Examples are: for the United States Reg. ATS in 1999 and Reg. NMS in 2007; for Canada the ATS Rules (NI 21-101, NI 23-101, and OSC Rule 23-501) in 2001; and for Europe MiFID in 2004.

² "Regulatory Role of Exchanges and International Implications of Demutualization" by Roel C. Campos, March 10, 2006, available at http://www.sec.gov/news/speech/spch031006rcc.htm.

or aggressive [market] order, is charged a fee."³ Maker rebates aim to improve liquidity, by rewarding its provision, and to increase trading volume, yet theoretical studies have shown that they need not affect liquidity and that trading volume may, in fact, decline.

Angel, Harris, and Spatt (2011) argue that introducing a maker rebate that is financed by a taker fee should have no effect, because in competitive markets the prices would adjust by the amount of the rebate. Colliard and Foucault (2012) formalize Angel, Harris, and Spatt's intuition and prove, without relying on perfect competition, that in the absence of frictions, only changes in the *total fee* retained by the exchange affect liquidity and trading volume. Foucault, Kadan, and Kandel (2013), in contrast, show that trading volume may increase or decrease, depending on the model parameters, even in the absence of a change in the total fee, because a fixed tick size prevents prices from neutralizing the effect of the maker rebate.

In this paper, we use the introduction of a maker rebate on the Toronto Stock Exchange to identify whether and how the breakdown of the total exchange fee into the maker rebate and the taker fee affects market liquidity and trading volume. Prior to October 1, 2005, liquidity takers paid 2 basis points of the dollar value of their marketable orders, and liquidity makers incurred no fee or rebate. As of October 1, 2005, the TSX offered a maker rebate of 27.5 cents and a taker fee of 40 cents per 100 shares for a pilot group, which consisted of the TSX-listed securities that were cross-listed with NASDAQ and AMEX. For the remaining securities, the taker fee was 1.8 basis points of the dollar value of the trade, and makers continued to incur no fee or rebate.

The strength of our analysis lies in the structure of the TSX fee change and in the data that we have access to. First, the TSX introduced maker-taker pricing only for a

³See "Regulatory Issues Raised by the Impact of Technological Changes on Market Integrity and Efficiency", Consultation Report, July 2011, available at http://www.iosco.org/library/pubdocs/pdf/IOSCOPD407.pdf. The SEC (2010) offers a similar definition.

pre-defined subset of securities, permitting an analysis of the impact with a differencein-differences approach. Second, the data is granular at the trader level, allowing us to identify changes in traders' market and limit order submission strategies. Third, the shift from per-dollar to per-share fees generated heterogeneity in the fee change depending on the price of the stock: the total fee declined for high-priced stocks and it increased for low-priced stocks. To address the impact of the maker-taker model, we focus on a subset of securities in the pilot group with prices such that the post-change total fee of 12.5 cents per 100 shares was close to the post-change 1.8 basis point total fee of the securities that did not switch to maker-taker pricing. Any change observed for this "fee-neutral" subset can then be attributed to the breakdown of the total fee into the maker rebate and taker fee.

The null hypothesis, based on Colliard and Foucault (2012), is that liquidity measures that account for exchange fees would be unaffected for the fee-neutral group. Consistent with the null hypothesis, the "cum fee" trading costs, measured by the effective bidask spread plus (twice) the taker fee, did not change, even though the "raw" bid-ask spread, which does not include the taker fee, declined. Further, we find an increase in the fraction of market orders and a decline in the price impact of market orders. The price impact is defined as the change in the midpoint of the bid-ask spread subsequent to a trade and it measures the information that is revealed by the trade. A decline in the price impact reflects a decline in adverse selection costs (which do not feature in Colliard and Foucault (2012)).

At first sight, since cum fee effective spreads did not change, our empirical results provide no economic justification for the changes in the fill rate or adverse selection. In practice, however, traders often do not pay maker-taker fees directly, and instead pay only a flat fee to their broker.⁴ Ceteris paribus, such traders would base their limit vs. market order choice on "raw" rather than "cum fee" quoted spreads. As quoted spreads decline, market orders become relatively cheaper for these traders and more of them would choose market over limit orders. In Brolley and Malinova (2012) this behavior is an equilibrium outcome, and the increased usage of market orders causes a decline in adverse selection. The decline stems from the monotonic order choices of informed traders: traders with stronger information use market orders, traders with weaker information use limit orders; see also Kaniel and Liu (2006) and Rosu (2012). Traders who switch from limit to market orders have weaker information than the original market order submitters, and thus the price impact of market orders declines.

One group of traders that commonly pays flat commissions is retail traders. Exploiting our trader-level data, we classify traders as retail when they use small orders frequently and have limited short-selling activity. Indeed, we find that for retail traders, the number of passive trades as a fraction of all trades and the number of passive limit orders as a fraction of all orders both decrease.

Retail traders are, arguably, the least sophisticated group of market participants. The observed change in their order submission strategies raises questions about additional redistributive effects of maker-taker fees from less to more sophisticated traders.⁵ Studying changes in traders' total costs, measured by the volume-weighted difference of paid cum fee effective spreads for aggressive trades and received cum fee realized spreads

⁴Brokers do not consistently pass on maker-taker fees to their customers, and they generally do not pass these fees to retail clients but charge them a flat commission ("\$9.99 per trade"). See, e.g., TD Securities' comment letter to the OSC, at http://www.osc.gov.on.ca/documents/en/Securities-Category2-Comments/com_20110117_23-405_pankod.pdf.

⁵The popular press repeatedly criticized maker rebates for their alleged redistributive effects. See, for instance, the Globe and Mail (a major Canadian National newspaper) which asserted that "the money [to pay for the rebates] often comes out of the retail investors' pocket." (*Globe and Mail*, "Small investors pay the price for high-frequency trading", January 31, 2011, by Boyd Erman.)

for passive trades, we find no evidence that the introduction of the maker rebates led to redistributions in cum fee trading costs during our sample period.

Our paper contributes to the literature that studies transaction costs and exchange fees. Barclay, Kandel, and Marx (1998) empirically study the effect of changes in bidask spreads on volume and prices and find that higher transaction costs reduce trading volume. Lutat (2010) argues that the Swiss Stock Exchange's removal of a maker fee (without changing the taker fee) did not affect quoted spreads. Cardella, Hao, and Kalcheva (2012) study a number of make-take fee changes in the U.S. from 2008 to 2010. They find that an exchange's total fee relative to that of other exchanges affects the exchange's trading volume, and that a change in the taker fee has a stronger effect than a change in the maker fee. Differently to our work, they find no effect of the split of the total fee into maker rebates and taker fees on quoted spreads. It is our understanding, however, that in Lutat (2010) and Cardella, Hao, and Kalcheva (2012) changes in the maker-taker fees are accompanied by changes in the total fee. Unique to our paper is that we focus on the breakdown of the total fee into the maker rebate and the taker fee, holding the total fee constant.

Maker-taker fees relate to payments for order flow, see, e.g., Kandel and Marx (1999), Battalio and Holden (2001), or Parlour and Rajan (2003). These payments are typically made by market makers (not trading platforms), they are often contingent on a type of order flow (e.g., retail), and they thus differ economically from maker-taker fees. Anand, McCormick, and Serban (2012) and Battalio, Shkilko, and Van Ness (2012) compare market quality under maker-taker pricing and payment for order-flow systems for U.S. options markets.⁶

 $^{^{6}\}mathrm{In}$ U.S. options markets, payments for order flow are financed by market makers, but they are commonly administered by the option exchanges.

The rest of the paper is organized as follows. Section I. discusses theoretical work that guides the analysis. Section II. reviews trading on the TSX and the details of the fee change. Section III. describes the data, the sample selection, and the regression methodology. Section IV. tests the empirical predictions on trading costs, volume, and adverse selection. Section V. studies the behavior of retail traders. Tables and figures are appended. The Internet Appendix contains further details on some measures and results from additional regression specifications.

I. Theoretical Predictions

To the best of our knowledge, there are three theoretical studies that focus on the impact of maker-taker fees. Colliard and Foucault (2012) provide a theoretical benchmark in the absence of market frictions; Foucault, Kadan, and Kandel (2013) and Brolley and Malinova (2012) introduce market frictions.

Colliard and Foucault (2012) emphasize, in particular, the importance of distinguishing between a change in the breakdown of the total exchange fee into a maker rebate and a taker fee from the change in the total exchange fee, because only changes in the latter are economically meaningful. If an exchange introduces a maker rebate and finances it by an increased taker fee, without changing the total fee, ceteris paribus, placing a market order becomes relatively more expensive than trading with a limit order. When some traders switch from market to limit orders, each limit order's execution probability declines and traders will improve quotes to attract matches for their limit orders. Absent frictions, the benefit from maker rebates will be exactly offset by the narrowed bid-ask spread. Consequently, changes in the split of the total fee between makers and takers should not affect trading behavior. Focussing on the impact of changes in the total exchange fee, Colliard and Foucault (2012) show that these changes affect a trader's choice of an order type, and that an increase in the total fee can lead to an increase or a decrease in the trading volume, depending on the parameters. We thus use the following empirical predictions as the null hypothesis in our empirical analysis:

Empirical Prediction 1 (Benchmark)

- 1. Holding the total exchange fee constant, as the maker rebate increases
 - (a) the raw bid-ask spread decreases;
 - (b) the cum fee bid-ask spread (spread plus (twice) the taker fee) is unaffected;
 - (c) volume is unaffected.
- 2. An increase (decrease) in the total exchange fee leads to an increase (decrease) in the cum fee effective spread.
- 3. Changes in the total exchange fee affect volume and the ratio of market to limit orders.

Foucault, Kadan, and Kandel (2013) show that the split of the total fee between makers and takers becomes economically meaningful when the minimum tick size restricts adjustments of the bid and ask prices. Exchanges can then increase the trading rate by using maker-taker fees to balance the activities of liquidity makers and takers. Foucault, Kadan, and Kandel (2013) further predict that makers' and takers' activities reinforce each other, highlighting a liquidity externality. This prediction is supported empirically in Skjeltorp, Sojli, and Tham (2013), and it is not the focus of our study.

Brolley and Malinova (2012) argue that the effect of changes in the breakdown of the total fee into a maker rebate and a taker fee is not neutral if some traders only pay them on average, e.g., through a flat commission to their brokers. In their model, only a fraction of traders receive maker rebates for each executed limit order; as the maker rebate increases, these traders improve their quotes and the raw bid-ask spread declines. For the remaining traders, the fee per trade is flat: it does not depend on the order type but instead equals the average exchange fee incurred by these traders as a group. Ceteris paribus, traders who pay the flat fee base their order choice on the raw, rather than the cum fee bid-ask spread, and submit relatively more market orders as the raw bid-ask spread declines. The authors find numerically that this behavior is also an equilibrium outcome in their setting, accounting for equilibrium changes in the flat fee.

The authors then predict that in presence of asymmetric information, the change in trader behavior causes market orders to become less informative. Their prediction is driven by the monotonic equilibrium behavior of traders in their model, whereby, similarly to Kaniel and Liu (2006) and Rosu (2012), traders with a sufficiently large informational advantage use market orders and those with weaker information use limit orders.⁷

To understand why the information content of market orders declines in such an equilibrium, consider an extreme outcome where (a) informed traders only submit market orders and (b) uninformed traders submit market and limit orders. In this example, traders who switch from limit to market orders are uninformed. Assuming that the informed traders do not increase their trading intensity, adverse selection costs for liquidity suppliers fall and, therefore, so do cum fee bid-ask spreads.

Empirical Prediction 2 (Maker-Taker Breakdown: Flat Commissions) For a constant total fee, in the presence of flat commissions, as the maker rebate increases,

1. the raw bid-ask spread, the price impact of trades, and the cum fee bid-ask spread

decrease;

⁷Privately informed traders face a trade-off between the better price offered by a limit order and the potential loss of their informational advantage if their limit order does not execute immediately. Those with the strongest informational advantage then choose market orders and pay the bid-ask spread, whereas those with a weaker advantage choose limit orders and (hope to) receive the spread.

2. as the raw bid-ask spread declines, traders who pay flat commissions submit relatively more market orders than limit orders.

When testing the above prediction, we seek to identify, in particular, whether traders who pay flat commissions change their order submission behavior in response to changes in the maker-taker breakdown. Our data does not contain information on the commission structures, and we perform this test by identifying a group of traders that commonly pays flat ("\$9.99 per trade") commissions, namely, retail traders. One caveat is that retail traders are arguably less-informed than the average trader. As a consequence, while we can test whether these traders change their behavior consistently with Empirical Prediction 2.2, we cannot differentiate empirically whether changes in the price impact arise because limit order submitters are less-informed than market order submitters or because traders who play flat commissions are less-informed on average. Notably, Empirical Prediction 2.2 does not rely on the presence of asymmetric information.

In practice, when a trading platform changes its fees, the change often affects both the total fee and the breakdown into the maker and taker fees. A key feature of the TSX experiment is the heterogeneity of changes in the total fee across securities. This heterogeneity allows us to identify a group of securities for which the change in the total fee is minimal and to isolate the effect of the change in the total fee from that of the change in the maker-taker breakdown.

II. The Toronto Stock Exchange and its Trading Fees

For our sample period in 2005, the Toronto Stock Exchange (TSX) was the sixth largest exchange world-wide in terms of market capitalization of traded securities and twelfth largest in dollar trading volume.⁸

The TSX operates as an electronic limit order book that generally follows the socalled price-time priority: orders are sorted first by their price ("price priority") and then, in case of equality, by the time of the order arrival (earlier orders have "time priority").⁹ The highest priced buy limit order in the book sets the bid price, the lowest priced sell order sets the ask price. Transactions occur when a trader submits either a market order or a marketable limit order, e.g., a buy limit order that matches or exceeds the ask price. In what follows we will use the term "active order" for a market order or a marketable limit order, and we use "passive order" for the standing limit order that is hit by an active order.

The TSX phased in maker rebates on two discrete dates, introducing them on October 1, 2005 for the TSX companies that were cross-listed on NASDAQ or AMEX (the TSX uses the term "interlisted"), and on July 1, 2006 for all remaining companies. Fees for stocks that were cross-listed on the NYSE were the same as for the TSX-only companies. We focus on the 2005 change of fees.

At the time of its introduction, the 2005 fee change was planned as a one year trial. The TSX did not formally provide reasons for the particular choice of the new fee structure, nor did they explain their choice of the trial group. It is our opinion that the TSX wanted to match the maker-taker pricing that had been introduced on NASDAQ earlier in 2005, in order to remain competitive in the trading of cross-listed securities. While the affected group is not randomly selected, it is, arguably, an exogenous group.

Prior to October 1, 2005, all TSX securities were subject to so-called value-based

⁸Source: World Federation of Exchanges.

⁹The TSX also allows broker priority in the sense that a passive order submitted by the same broker as the incoming active order has priority over earlier submitted orders at the same price. This so-called "broker-preferencing" is, however, immaterial for our analysis.

pricing, under which the active side of each transaction incurred a fee of 2 basis points (1/50 of 1%) of the dollar value of the trade, and the passive side incurred no fee or rebate. On October 1, TSX-listed securities that were also cross-listed with NASDAQ and AMEX switched to so-called volume-based pricing. For each traded share the active side had to pay \$.004 and the passive side obtained a rebate on its exchange fees of \$.00275. All other securities remained at the prevailing regime, but the fees were slightly reduced — after October 1, active orders incurred a fee of approximately 1.8 basis points (1/55 of 1%) of the dollar value of the trade and passive orders remained free.¹⁰

Exchange fees under value-based pricing depend on the price of the underlying stock, under volume-based pricing they do not. Compared to the value-based pricing model, securities that trade below \$6.875 incur a higher total fee under the the new volume-based pricing model.¹¹ Figure 1 illustrates the different fees as functions of the stock price. The figure further illustrates that the change in the total fee across different securities is monotone in the security price. We exploit the differential change in fees to isolate the impact of the change in the total exchange fee from the impact of the change in the breakdown of this total fee into a maker rebate and a taker fee. We acknowledge, however, that the switch from value-based to volume-based pricing may lead to behavioral changes for which we have no theoretical predictions. From the institutional perspective, we expect that the brokers understood both billing systems because most Canadian brokers deal both in the U.S. and in Canada, and the U.S. already had volume-based pricing.

[Insert Figure 1 about here]

¹⁰The SEC capped taker fees in the U.S. in August 2005 to be no larger than \$.003 per share. To this date there is no regulated fee cap in Canada, but by now fees have declined. Adjusted by the exchange rate (\approx 1.2 Canadian dollars per 1 U.S. dollar in 2005), the taker fee in Canada was slightly larger than the SEC cap.

¹¹Total fees coincide for the price p = \$6.875, which solves $p \times 1/55 \times 1\% = (\$.004 - \$.00275)$. Active fees coincide for the price p = \$22, which solves $p \times 1/55 \times 1\% = \$.004$.

III. Data, Sample Selection, and Methodology

A. Data Sources

Our analysis is based on a proprietary trader-level dataset, provided to us by the Toronto Stock Exchange (TSX). Data on market capitalization, monthly volume, splits, and cross-listed status is obtained from the monthly TSX e-Reviews publications. Data on the CBOE's volatility index VIX is from the CBOE database within WRDS.

We analyze the effect of the fee structure change during a 4 month window (2 months before and 2 months after the introduction of maker-taker pricing), from August 1, 2005 to November 30, 2005. This event window includes the first month plus the month following the first monthly trading fee bill. We exclude October 11 and November 21 due to errors in the raw data, as well as U.S. Thanksgiving and Black Friday. On August 29, 2005, about one month before our event date, Reg NMS Rule 301(b)(5) of Regulation ATS [2] under the Exchange Act (the "Fair Access Rule") became effective. When we reduce the sample period to one month before and after the event, our results remain qualitatively unaffected.¹²

Our data includes all information on order submissions and trades, including price, volume, and a unique identifier for the trader that submitted the order. We restrict attention to transactions that occur in the limit order book during regular trading hours and we exclude, for instance, opening trades, dealer crosses, and trades that occur outside normal trading hours. For each limit order book transaction the data specifies the active (liquidity demanding) and passive (liquidity supplying) party, thus each trade

¹²We found no other events for NASDAQ, based on a search of www.federalregister.gov; Cardella, Hao, and Kalcheva (2012) kindly shared their data on exchange fee changes, and there were no NAS-DAQ/AMEX related events during our sample period.

is identified as either buyer- or seller-initiated. Finally, the data contains all updates on the best bid and ask quotes as well as on the depth at the best quotes.

B. Sample Selection

Out of the 3,000+ symbols that trade on the TSX, we focus on common stocks that trade on the main exchange, and we allow companies with dual class shares.¹³ We require that the companies had non-zero volume in July 2005, according to the TSX e-Review, and were continuously listed between July 2005 and November 2005. We exclude securities that had stock splits, that were under review for suspension, that had substitutional listings, that had days with an average midpoint below \$1, and that had less than 10 transactions per day on more than 5% of the trading days during the event window. Finally, we exclude Nortel as it was involved in a high profile accounting scandal at the time of our sample period (along with Worldcom and Enron).

We determine a company's cross-listed status from the TSX e-Reviews, where we require that a company is cross-listed with NASDAQ or AMEX during the event window. Companies that changed their cross-listing status during the sample period or for which the cross-listing status was ambiguous are omitted from the sample.

We are then left with 65 NASDAQ and AMEX cross-listed companies and 180 TSX only and NYSE cross-listed companies. In what follows, we refer to companies that are cross-listed with NASDAQ and AMEX as "cross-listed", and we refer to companies that are listed only on the TSX or that are cross-listed with NYSE as "non-crosslisted".

 $^{^{13}}$ In the Canadian market, as of August 2005, an estimated 20-25% of companies listed on the TSX made use of some form of dual class structure or special voting rights, whereas in the United States, only about 2% of companies issue restricted voting shares (see Gry (2005)).

C. Matched Sample

Since the TSX initially introduced maker-taker fees only for cross-listed securities, we use the remaining companies as a control group to ensure that our results are not driven by market-wide fluctuations. Specifically, for each "treated", cross-listed company we select a unique control company as follows. Using one-to-one matching without replacement, we match companies based on their closing price, market capitalization, and the level of competition for liquidity provision, as measured by the Herfindahl Index.¹⁴

Davies and Kim (2009) argue that one-to-one matching without replacement based on closing price and market capitalization is the most appropriate method to test for differences in trade execution costs. We additionally include a measure of competition as a matching criterium, for three reasons. First, our treatment group, the cross-listed securities, is not a random sample, and liquidity provision in the average cross-listed stock is systematically more competitive than in the average TSX-only stock, even controlling for market capitalization.¹⁵ Second, the focus of this study is not only on trade execution costs but also other variables that are affected by competition, such as trader behavior.¹⁶ Finally, Foucault, Kadan, and Kandel (2013) predict that the competition among traders affects the impact of changes in the maker-taker fees.

We randomize the order of matching by sorting the stocks in the treatment group (i.e. the cross-listed securities) alphabetically by ticker symbol. The match for each

¹⁴We compute the Herfindahl Index based on the brokers' shares of passive volume; the details are in the Internet Appendix. Weston (2000), Ellis, Michaely, and O'Hara (2002) and Schultz (2003) use the Herfindahl Index of market concentration to assess competition for market making in dealer markets; their indices are based on NASDAQ dealers' shares of volume.

¹⁵Taking matches only from the group of NYSE cross-listed stocks would generate very poor matches since NYSE cross-listed companies are much larger and trading in these stocks is much more competitive than NASDAQ/AMEX cross-listed companies. Our matched sample does contain some stocks that are cross-listed with NYSE, but only those that are comparable.

¹⁶When matching only on price and market capitalization, the results for most liquidity measures, including spreads (the variable of interest in Davies and Kim (2009)), are similar.

treatment group security i is then defined to be a control group security j that minimizes the following matching error:

$$matcherror_{ij} := \left| \frac{p_i - p_j}{p_i + p_j} \right| + \left| \frac{MC_i - MC_j}{MC_i + MC_j} \right| + \left| \frac{HHI_i - HHI_j}{HHI_i + HHI_j} \right|, \tag{1}$$

where p_i , MC_i , and HHI_i denote security *i*'s July 2005 closing price, market capitalization as of the end of July 2005, and the average July 2005 value of the Herfindahl Index at the broker level, respectively. The list of cross-listed companies and their matches is in the Internet Appendix; summary statistics for both groups are in Table I.

[Insert Table I about here]

D. Subsample Selection: Fee-Neutral Securities

To test predictions on the impact of the breakdown of the total fee, we need to identify a group of securities for which the change in the total fee is small; we refer to this group as the fee-neutral securities. We measure the total fee for the cross-listed securities relative to the total fee of the control group. The total fee for non-crosslisted securities declined from 2 bps to 1.81 bps on October 1, 2005, and we use the post-event fee for the control group as the benchmark for fee changes to neutralize any effect that may stem from the change in the fees for the control group. Specifically, we define the change in the total fee for cross-listed securities as (\$0.004 - \$0.00275)/price - 1.81 bps. Figure 2 plots the change in the total fee against the price of the underlying security.

We require the group of fee-neutral securities to have an average change in the total fee of zero and to contain the same number of stocks with (small) fee increases and decreases. The fee-neutral group contains 22 securities, with July 2005 closing prices between \$4.36 and \$12.05 (implying fee changes between -1.05 and +.8 bps relative to

the control group); the group of securities with a fee increase contains 23 securities, the group with a fee decrease contains 20 securities. Figure 2 identifies the securities by their respective groups. Table I provides summary statistics for the three groups.

[Insert Figure 2 about here]

E. Retail Traders

Empirical Prediction 2 is based on the premise that traders who pay flat commissions change their behavior. Our data does not provide information on the commission structure that traders face. To test the prediction, we focus on the group of retail traders because these traders commonly face flat commissions. We believe that we can identify such traders in our data by their trading characteristics. Our data contains unique identifiers for parties that submit orders and trades to the TSX. Brokers typically funnel particular types of order flow, such as retail or institutions, through dedicated unique identifiers.

Our premise is that retail identifiers frequently trade small quantities. To distinguish small size trades that are used by order-splitting algorithms from those of retail traders, we base our classification on trades for less than 100 shares, so-called odd-lot trades, because on the TSX large orders must not be split into odd-lots.¹⁷ We classify a unique identifier as a retail trader if for the aggregate trading activity over the sample period this identifier has a fraction of so-called odd-lot transactions above 1% of the total intraday transactions. Since odd-lot trades are also used by some sophisticated traders,

¹⁷O'Hara, Yao, and Ye (2011) analyze odd-lot trades in the U.S. They discuss, in particular, that on U.S. trading venues odd-lots can be used to "ping" for fully hidden orders and that odd-lot trades are not reported on the consolidated tape. Oddlots are used differently in Canada. TSX trading rules specifically prohibit the splitting of large orders into multiple odd-lots for trades for the same account (currently, TSX Trading Rules, Policy 4-802; formerly, Section 5.1 of the Equities Manual). Moreover, odd-lots are always active and incur taker fees, they are filled by the registered trader (a designated market maker), and they do not interact with the limit order book. There is thus no benefit (real or perceived) in submitting odd-lot orders instead of round-lot (in multiples of 100 shares) orders.

for instance, in exchange-traded fund arbitrage strategies, we impose an additional filter. Namely, we exclude identifiers with short sale volume in excess of 10% of sales because, arguably, sophisticated traders are more likely to use short-sales than retail traders.

We perform our analysis based on all unique identifiers that appear in our data for the August-November sample period. Of these 2,833 traders, we classify 337 as retail traders; the remaining traders are classified as non-retail. Table II reports summary statistics for the groups of retail and non-retail traders for the pre-sample month of July 2005. Retail traders trade 44% of their volume in cross-listed securities with limit orders, the remaining volume was traded with market orders. Of all the orders submitted by retail traders, 74% are limit orders, the remainder are market orders. On average, market orders by retail traders have a lower price impact than market orders by nonretail traders (e.g., for fee-neutral securities the price impacts are 24 and 55 basis points respectively), suggesting that retail traders are indeed less-informed.

F. Panel Regression Methodology

We employ a methodology that is similar to that in Hendershott and Moulton (2011). For each security in our sample and for each match, we compute a number of daily liquidity and market activity measures. Our panel regression analysis employs a differencein-differences approach and thus controls for market-wide fluctuations. As dependent variables in our regression we use the day t realization of the measure for cross-listed security i less the realization of the measure for security i's non-crosslisted match.

We present our results for two regression specifications. In the first, we employ the following stock level controls: the July 2005 share turnover (volume over shares outstanding), the July 2005 standard deviation of daily midpoint returns, the log of the July 2005 closing price, the log market capitalization (based on the July 2005 closing price), and the average July 2005 Herfindahl-index for liquidity provision. We include the market capitalization and price as controls to capture heterogeneity across matched pairs that arises because the fee change differs by price. Furthermore, we include the daily realization of the CBOE volatility index VIX to control for market-wide volatility that affects trading variables across time and that is not captured by the difference-in-differences approach. In particular, cross-listed securities may react more to U.S. market movements and the VIX, which is U.S. based, helps to control for these possible differences. The second specification employs stock fixed effects and the volatility index VIX.¹⁸ For each measure, we estimate

$$\Delta DV_{it} = \alpha_1 fee \ down_i + \alpha_2 fee \ neutral_i + event_t \times (\beta_1 fee \ down_i + \beta_2 fee \ neutral_i + \beta_3 fee \ up_i) + \gamma \mathsf{VIX}_t + \delta X_i + \xi + \epsilon_{it},$$
(2)

where ΔDV_{it} is the day t realization of the dependent variable for treatment group security i less the realization of the measure for the *i*th control group match; *event*_t is a dummy variable that is 1 after October 1 2005 and 0 before; VIX_t is the closing value of CBOE's volatility index for day t, X_i is a vector of the aforementioned security level control variables (it is omitted in the fixed effects specification), and ξ is the intercept. Dummy variables *fee down*_i, *fee neutral*_i, and *fee up*_i are indicator variables for whether security *i* is, respectively, in the fee-decrease, fee-neutral or fee-increase sub-sample.

Furthermore, when we analyze the behaviour by trader group, we compute the dependent variables for the group of retail traders and for all other traders separately. We

¹⁸In the Internet Appendix, we provide the results from two additional specifications: the first uses no stock level controls, no fixed effects, and no VIX; the second uses stock fixed effects and no VIX. The estimation results are similiar.

then interact the terms in (2) that relate to the event and three subsamples with different fee changes with indicator variables for whether the dependent variable pertains to retail traders or non-retail traders:

$$\Delta DV_{it} = \alpha_0 rt_{it} + rt_{it} \times (\alpha_1 fee \ down_i + \alpha_2 fee \ neutral_i + event_t \times (\beta_1 fee \ down_i + \beta_2 fee \ neutral_i + \beta_3 fee \ up_i)) + nrt_{it} \times event_t \times (\beta_4 fee \ down_i + \beta_5 fee \ neutral_i + \beta_6 fee \ up_i) + \gamma \mathsf{VIX}_t + \delta X_i + \xi + \epsilon_{it},$$
(3)

where in addition to the variables defined for (2), rt_{it} is a dummy variable that is 1 if the value of the dependent variable was for retail traders and 0 otherwise, and $nrt_{it} = 1 - rt_{it}$.

We conduct inference in all regressions using double-clustered Cameron, Gelbach, and Miller (2011) standard errors, which are robust to cross-sectional correlation and idiosyncratic time-series persistence,¹⁹ with and without stock fixed effects. For brevity, for estimations of (2) we display only the estimated coefficients β_1 , β_2 , and β_3 on the interaction terms for the fee change groups, and for (3) we present β_1, \ldots, β_6 . The tables further list results for tests of differences in these coefficients.

IV. Maker-Taker Fees, Bid-Ask Spreads, and Volume

The goal of our analysis is to test mechanisms that can explain why the breakdown of the total exchange fee into a maker rebate and a taker fee may or may not matter. The first set of hypotheses, Empirical Prediction 1, predicts that only changes in the total fee have economically meaningful effects; we test in these hypotheses in Subsections A.-C. The second set of hypotheses, Empirical Prediction 2, is based on the idea that due to

¹⁹Cameron, Gelbach, and Miller (2011) and Thompson (2011) developed the double-clustering approach simultaneously. We follow the former and employ their programming technique. See also Petersen (2009) for a detailed discussion of (double-) clustering techniques.

market fictions, some traders alter their behavior and cause changes in the information content of trades; we test for changes in the informativeness of trades in Subsection D.

A. Do posted quotes react to changes in maker-taker fees?

Empirical Prediction 1.1 states that the raw bid-ask spread declines as the maker rebate increases holding the total fee constant. We focus on the *effective spread*, which is twice the difference between the transaction price and the midpoint of the bid and offer quotes at the time of the transaction, expressed in basis points as a proportion of the prevailing quote midpoint. Specifically,

$$espread_{it} = 2q_{it}(p_{it} - m_{it})/m_{it},\tag{4}$$

where p_{it} is the transaction price for security *i* at time *t*, m_{it} is the midpoint of the quote prevailing at the time of the trade, and q_{it} is an indicator variable, which equals 1 if the trade is buyer-initiated and -1 if the trade is seller-initiated.²⁰ Our data reports the prevailing quotes, and it also contains a marker that signs each trade as buyer or seller initiated. Pre-sample summary statistics for spreads are in Table I.

[Insert Figure 3 about here]

Results. The left panel in Figure 3 illustrates a decline for the effective spread after the event date for the fee-neutral securities. In the first column of Table III, we test

²⁰In the Internet Appendix, we include tests for changes in the *quoted spread*, which is the difference between the lowest price at which someone is willing to sell, or the best offer price, and the highest price at which someone is willing to buy, or the best bid price. The results for the quoted spread are similar to those of the effective spread. We also presents tests for changes in the *dollar depth*, which is defined as the average dollar amount that can be traded at the bid and the offer. The table there reports an increase in depth (interpreted as an improvement in liquidity). Since we have no predictions for changes in depth, we exclude the table from the main text. Finally, we present the results on spreads measured in cents; the results are similar.

Empirical Prediction 1.1.a on raw bid-ask spreads. For the fee-neutral securities, we find that the effective spread declines by 11 basis points after the introduction of the maker rebate. The decline in the effective spread for the group with the increased total fee is stronger than that for the group with the decreased total fee.

[Insert Table III about here]

Therefore, we find support for Empirical Prediction 1 which states that prices adjust as the maker rebate changes. Furthermore, the difference in the spread changes across groups of securities with fee increases and decreases is consistent with Colliard and Foucault (2012), who predict that the effective spread declines as the taker fee increases. Figure 1 illustrates that for our TSX experiment, changes in the total fee are monotonically related to changes in the taker fee, because both these fees increased stronger for the lower priced securities.²¹

B. Do changes in posted quotes neutralize maker-taker fees?

According to Empirical Prediction 1, holding the total fee constant, the bid-ask spread adjustment offsets the change in the maker-taker fees. To test this hypothesis, we define the *cum fee bid-ask spread* as the effective spread plus twice the taker fee, normalized by the prevailing midpoint. This measure reflects the cost to a liquidity taker for a round-trip transaction, accounting for the taker fees. Empirical Prediction 1 states that only changes in the total fee lead to adjustments in cum fee bid-ask spreads.

Results. The right panel in Figure 3 plots the average cum fee effective spread for the fee-neutral securities over the sample period and shows that there is no noticeable

 $^{^{21}}$ Table XI in the Internet Appendix provides regression results for subsamples of securities, split by changes in the taker fee.

change after the introduction of the maker rebate. In column 2 of Table III we test Empirical Predictions 1.1.b and 1.2 on the effect of the fee breakdown and the total fee on the cum fee effective spread. We find that for the fee-neutral securities, the cum fee effective spread remains unaffected by the introduction of maker-taker fees. The cum fee effective spread increases for the group of securities with the increased total fee, and this change is significantly different from the (insignificant) change for the group of securities with the decreased total fee.

Our findings support Empirical Prediction 1, that prices adjust to effectively neutralize the maker-taker breakdown, holding the total fee constant. The results on the changes in the cum fee effective spread across different groups of securities support Colliard and Foucault (2012)'s predictions on the impact of the total exchange fee.

C. Trading volume and maker-taker fees

Empirical Prediction 1 states that volume, and, more generally, trading activities, are only affected by changes in the total fee. To test the prediction, we study the dollar volume, the number of transactions, and the fill rate for limit orders, which we measure by the number of market orders as a fraction of the sum of market and limit orders.²²

Results. In Table IV we test Empirical Predictions 1.1.c, 1.1.d, and 1.3. We find that for the fee-neutral securities, dollar volume, the number of transactions, and the fraction of market orders increase after the introduction of maker-taker fees; the change in volume is only significant at the 10% level. The change in the fill rate is inversely related to the change in the total exchange fee, and there are no statistically significant

²²Our data provides information on orders that contain marketable portions. If only a portion of an incoming order is executed immediately, and the remainder is placed in the limit order book, e.g., because there is not enough depth, the marketable portion adds to the market order count and the "booked" portion adds to the limit order count. A modified limit order adds to the limit order count.

differences in the trading volume changes across different groups of securities.

[Insert Table IV about here]

Our results on the impact of the total exchange fee are consistent with Colliard and Foucault (2012) who predict that changes in the total fee causally affect makers' limit order pricing strategies and the probabilities of limit order executions. There is weak evidence of a volume increase for the fee-neutral securities, which is broadly consistent with models that include market frictions. For instance, Foucault, Kadan, and Kandel (2013) predict that a change in the division of gains from trade between makers and takers affects traders' monitoring activities and consequently trading volume.²³ Furthermore, the increase in the fill rate is consistent with the underlying argument of Empirical Prediction 2, which is that traders who face flat commissions submit more market orders relative to limit orders as the raw bid-ask spread declines.

D. The information content of trades

Empirical Prediction 2.1 states that in the presence of asymmetric information, an increased usage of market orders relative to limit orders lowers the information content of trades. To test for changes in the informativeness of trades, we analyze the price impact, defined as the change in the midpoint of the bid-ask spread subsequent to a trade. This measure reflects the portion of the transaction cost that is due to the presence of informed liquidity demanders. A decline in the price impact indicates a decline in adverse selection. We use the common benchmark of the midpoint five minutes after

²³Table XI in the Internet Appendix provides evidence that traders change their quoting behavior, consistent with Foucault, Kadan, and Kandel (2013)'s predictions that traders' monitoring activities are affected by changes in the maker-taker breakdown of the total fee.

the transaction and define for a trade at time t in security i

price
$$impact_{it} = 2q_{it}(m_{i,t+5\ min} - m_{it})/m_{it}.$$
 (5)

Results. In column 3 of Table III we test Empirical Prediction 2.1. Our results show that for the fee-neutral securities the price impact declines by 11 basis points after the introduction of maker-taker fees.

A decline in the price impact reduces the adverse selection costs for liquidity providers. If liquidity provision is perfectly competitive, as is implicitly assumed in Empirical Prediction 2.1, then the reduced price impact should lead to lower cum fee effective spreads, which we do not find. If, however, liquidity provision is not perfectly competitive, then the reduced price impact can increase liquidity providers' rents.

To empirically confirm that these rents have indeed changed, we analyze the *realized* spread, which is part of a mechanical decomposition of the effective spread:

$$espread_{it} = rspread_{it} + price \ impact_{it}.$$
(6)

The realized spread is defined as:

$$rspread_{it} = 2q_{it}(p_{it} - m_{i,t+5 \min})/m_{it},$$
(7)

Economically, the realized spread reflects the portion of the transaction costs that is attributed to liquidity provider revenues. The decomposition of the effective spread can then be extended to measures that account for the maker-taker fees. Specifically, the cum fee effective spread can be decomposed into the cum fee realized spread, defined as the realized spread plus twice the maker rebate, the price impact and the total fee:²⁴

 $cum fee \ espread_{it} = cum fee \ rspread_{it} + price \ impact_{it} + 2 \times total \ fee/m_{it}.$ (8)

²⁴Details are in the Internet Appendix.

For our fee-neutral group, the cum fee effective spread and the total fee are unchanged, and the price impact declines. Therefore, we expect cum fee realized spreads to increase. Column 5 in Table III confirms this relation. The increase in the cum fee realized spread suggests, in particular, that the benefit of the lower price impact was captured by the liquidity providers.

V. Maker-Taker Fees and Retail Trader Behavior

A. Retail Trader Choice of Market vs. Limit Orders

In Section IV. we establish broad support for Empirical Prediction 1. Additionally, we find that there are changes in the informativeness of the order flow, consistent with Empirical Prediction 2. In this section, we test whether there is evidence in support of the mechanism that underlies Empirical Prediction 2. Specifically, we analyze whether retail traders, who arguably pay flat commissions, change their behavior as a group.

Empirical Prediction 2 builds on the premise that there are traders who pay makertaker fees only on average through flat commissions to their brokers. As the raw bid-ask spread declines, these traders find market orders relatively more attractive and will use them more often. To assess the changes in retail traders' usage of market and limit orders, we compute three measures: (1) the fraction of their submitted orders that are limit orders; (2) the fraction of their traded volume that stems from limit orders; and (3) the log dollar-volume that they trade with market orders.

Results. In Table V we test Empirical Prediction 2.2. We find that for the feeneutral group of securities, retail traders submit fewer limit orders, as a fraction of all orders, they trade a smaller fraction of their trades with limit orders, and their trading dollar-volume from active, marketable orders increases after the introduction of the maker rebate. Our findings on the changes in order submission patterns are consistent with Empirical Prediction 2.2.

[Insert Table V about here]

B. Redistributive Effects

As retail traders use market orders more frequently, retail traders' ex-post transactions costs may change, leading to a redistribution of costs between retail traders and other traders. To assess whether there is a redistribution, we compute the *cum fee total cost*, defined as the volume-weighted difference of the cum fee effective spread paid (for active orders) and the cum fee realized spread received (for passive orders).²⁵

Results. The fourth column of Table V shows that for the fee-neutral securities there is no statistically significant change in retail traders' cum fee total costs after the introduction of maker-taker fees, and there are no statistically significant differences between the changes in retail and non-retail traders' costs. Consequently, there is no evidence of a redistribution.

The cum fee total cost accounts for the fees that accrue and thus assumes that the maker-taker fees are passed on to the retail traders. As retail traders use market orders more frequently, retail brokers have to pay higher aggregate fees and we would expect them to raise their flat commissions. In practice, since the 2005 fee change was a pilot program, it is possible that retail brokers did not change their pricing immediately. If brokers did not increase their commissions, then retail traders may have benefitted after the change, at the expense of their brokers.²⁶

 $^{^{25}}$ Note that the cum fee total cost does not lend itself to assessing whether retail traders act optimally: as the measure is ex post, it does not account for the probability of a limit order execution.

²⁶Anecdotal evidence indicates that brokers do not fully pass the maker-taker fees to their clients,

VI. Conclusion

We empirically study maker-taker pricing, the most prevalent, yet controversial exchange fee schedule in today's equity markets. We use the introduction of maker rebates for passive limit orders on the Toronto Stock Exchange (TSX) to identify the effect from changes in the total fee retained by the exchange and the effect of splitting the total fee into a maker rebate and a taker fee. Our results on the impact of the total fee support the theoretical predictions of Colliard and Foucault (2012): we find that an increase in the total exchange fee leads to an increase in the cum fee effective spread, which proxies for liquidity takers' trading costs, and that it leads to a lower fill rate for limit orders.

To analyze the effect of the breakdown of the total fee into the maker rebate and the taker fee, we focus on the group of securities for which the change in the total fee was close to zero. For this group of securities, the prices that people trade at improve so as to offset the increase in the maker rebate, consistent with Colliard and Foucault (2012) and Angel, Harris, and Spatt (2011). We further find evidence that the cum fee realized spread, which proxies for liquidity makers' revenues, as well as trading volume and the fill rate for limit orders all increased, and that the price impact of marketable orders decreased. We attribute the decline in adverse selection that is associated with the reduced price impact to the behavior of traders who pay maker-taker fees only through a flat commission to their brokers. Since flat commissions do not differentiate between trades that make or take liquidity, these traders' decisions are driven by posted spreads.

In our study, the benefit from reduced adverse selection was captured by the liquidity makers. When interpreting our results, it is important to understand that high frequency

suggesting that maker rebates may "ultimately [be] funded by retail brokers" (see, David Panko's letter to the OSC, Jan 17, 2011 http://www.osc.gov.on.ca/documents/en/Securities-Category2-Comments/com_20110117_23-405_pankod.pdf).

trading on the TSX, while in existence, was still in its infancy in 2005. The increase in the (positive) cum fee realized spreads indicates that, during our sample period, the shift to maker rebates increased the profitability of liquidity provision. Our findings lend support to arguments that maker rebates have incentivized the entry of algorithmic, high frequency traders that specialize in liquidity provision. Over time, as high frequency trading developed and liquidity provision became more competitive, the revenues of liquidity makers likely decreased, and it is possible that the distribution of gains from trade between makers and takers has since changed.

The findings of this paper should interest regulators and policy makers because the maker-taker pricing model had, allegedly, unintended negative consequences. The SEC believes that maker rebates facilitated the development of high frequency trading and has questioned whether "rebates [are] unfair to long-term investors because they necessarily will be paid primarily to [high frequency] proprietary firms engaging in passive market making strategies." (SEC (2010)). Angel, Harris, and Spatt (2011) argue that the maker-taker model has "aggravated agency problems among brokers and their clients," because a typical broker does not forward exchange fees to their clients on a trade-by-trade basis and may have a conflict of interest with their clients regarding the choice of a trading venue. One industry report by Woodbine Associates estimates the associated costs to investors to be \$5 billion annually.²⁷ Our paper establishes an empirical benchmark on the impact of the maker-taker pricing model that can be weighed against these unintended consequences. Our findings suggest, in particular, that a regulation of the brokers' handling of maker-taker fees should weigh the agency costs against the possible benefits of flat commissions.

²⁷See Senator Schumer's letter to the SEC, May 10, 2012, available at http://www.schumer.senate.gov/Newsroom/record.cfm?id=336748.

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Table I Pre-sample Summary Statistics of Cross-listed Companies and their Matches

The table lists summary statistics for selected variables for five groups of securities: the NASDAQ/AMEX-cross-listed companies (the treatment group), the treatment group's non-crosslisted matches, and the three subsamples of the treatment group: securities with increases, decreases and no changes in their total fees relative to the control group's post-event fee of 1.81 bps. Unless otherwise specified, the numbers are average per day per security. Intraday volume refers to transactions that occur in the open market during regular trading hours (9:30-16:00), excluding odd-lot trades, special terms trades, and dealer crosses.

Number of firms		NA	ASDAQ/AMEX cross-listed 65	No	n-crosslisted 65	fee	increase 23	fee	neutral 22	fee	decrease 20
Total intraday July 2005 share volume (millions)	Mean StD		3.017 (4.404)		4.036 (9.635)		3.879 (5.372)		2.054 (1.853)		3.085 (5.112)
Total intraday July 2005 dollar volume (millions)	Median	\$ \$	$ \begin{array}{c} 1.435 \\ 39.95 \\ (95.81) \\ 10.41 \end{array} $	\$ \$	$ 1.888 \\ 41.93 \\ (123.70) \\ 12.71 $	\$ \$	$2.096 \\ 10.49 \\ (15.82) \\ 10.42 \\ (15.82) \\ 10.42 \\ (15.82) \\ (10.42) \\ (1$	\$ \$	$ 1.207 \\ 16.10 \\ (17.82) \\ 10.22 $	\$ \$	$ 1.343 \\ 100.10 \\ (157.40) 22.42 $
Total July 2005 transactions (thousand	$\mathbf{s})$	\$	$ \begin{array}{r} 10.41 \\ 4.784 \\ (6.547) \\ 0.5514 \end{array} $	\$	$ \begin{array}{c} 13.51 \\ 3.533 \\ (5.338) \\ 2.011 \end{array} $	\$	$4.62 \\ 2.938 \\ (2.788) \\ 1.021$	\$	$ \begin{array}{r} 10.26 \\ 3.621 \\ (2.944) \\ 2.720 \\ \end{array} $	\$	$28.46 \\ 8.187 \\ (10.390) \\ 2.662$
Closing price end July 2005 (in $\$$)		\$ \$	2.554 12.67 (18.06)	\$ \$	$ \begin{array}{c} 2.011 \\ 12.81 \\ (17.84) \\ 6.62 \end{array} $	\$ \$	1.921 2.40 (0.81) 2.46	\$ \$ ¢	$2.728 \\ 7.429 \\ (2.17) \\ 7.02$	\$ \$	3.663 30.26 (24.63) 10.57
Market capitalization end July 2005 (billions)		ծ Տ Չ	$ \begin{array}{c} 0.02 \\ 1.47 \\ (4.79) \\ 0.51 \end{array} $	ი \$ \$ დ	$ \begin{array}{c} 0.03 \\ 1.66 \\ (6.36) \\ 0.46 \end{array} $	ծ \$ \$ ¢	$ \begin{array}{c} 2.40 \\ 0.33 \\ (0.28) \\ 0.20 \end{array} $	5 \$ \$	$\begin{array}{c} 7.02 \\ 0.51 \\ (0.29) \\ 0.46 \end{array}$	ծ \$ \$ «	$ \begin{array}{c} 19.57 \\ 3.82 \\ (8.29) \\ 0.96 \end{array} $
Time weighted quoted spread (bps)		Φ	62.97 (47.00) 51.42	ψ	82.24 (46.77)	ψ	$ \begin{array}{c} 0.20 \\ 101.90 \\ (54.21) \\ 06.14 \end{array} $	Ψ	51.69 (22.55) 50.26	ψ	30.64 (19.94) 24.17
Time weighted quoted spread (cents)			$ \begin{array}{c} 51.42 \\ 4.33 \\ (4.22) \\ 2.28 \end{array} $		5.96 (5.03)		$ \begin{array}{c} 90.14 \\ 2.16 \\ (0.85) \\ 1.06 \end{array} $		3.45 (1.22)		$ \begin{array}{c} 24.17 \\ 7.80 \\ (6.18) \\ 5.62 \end{array} $
Herfindahl Index broker level			$ \begin{array}{c} 5.28 \\ 0.22 \\ (0.06) \\ 0.22 \end{array} $		$ \begin{array}{c} 4.02 \\ 0.23 \\ (0.06) \\ 0.23 \end{array} $		$ \begin{array}{c} 1.90 \\ 0.24 \\ (0.07) \\ 0.22 \end{array} $		$ \begin{array}{c} 5.42 \\ 0.22 \\ (0.05) \\ 0.22 \end{array} $		0.21 (0.07)
Number of brokers			$ \begin{array}{c} 0.22 \\ 13.5 \\ (5.2) \\ 12.8 \end{array} $		$ \begin{array}{c} 0.23 \\ 12.9 \\ (5.4) \\ 11.9 \end{array} $		$ \begin{array}{c} 0.23 \\ 12.0 \\ (4.7) \\ 11.4 \end{array} $		$ \begin{array}{c} 0.23 \\ 13.2 \\ (4.0) \\ 12.0 \end{array} $		$ \begin{array}{r} 0.19 \\ 15.5 \\ (6.5) \\ 13.9 \\ \end{array} $

Table IIPre-sample Summary Statistics by Trader Group

The table lists selected summary statistics for the group of retail vs. non-retail traders for five groups of securities: the NASDAQ/AMEXcross-listed companies (the treatment group), the treatment group's non-crosslisted matches, and the three subsamples of the treatment group: securities with increases, decreases and no changes in their total fees relative to the control group's post-event fee of 1.81 bps. The statistics are for the pre-sample month of July 2005. The numbers are the average per day per security for the respective groups of retail and non-retail traders.

	Type of trader	Unit	NASDAQ/AMEX cross-listed	Non-crosslisted	fee increase	fee neutral	fee decrease
% passive	Retail	percent	44.0	35.7	44.1	44.0	44.0
			(16.5)	(12.2)	(15.5)	(17.3)	(16.7)
			43.7	35.6	43.6	43.6	43.8
	Non-Retail		51.9	60.5	51.7	51.8	52.1
			(7.5)	(10.4)	(7.0)	(7.6)	(7.8)
			51.5	59.0	51.5	51.3	51.5
% limit orders	Retail	percent	73.8	66.7	72.6	73.1	75.5
		-	(11.8)	(12.5)	(12.1)	(12.8)	(10.2)
			74.9	68.5	73.8	74.5	75.7
	Non-Retail		96.1	83.3	97.4	95.5	95.3
			(4.2)	(10.3)	(2.0)	(4.8)	(4.7)
			97.4	84.8	98.0	97.1	96.8
price impact of	Retail	bps	24.0	29.2	19.2	24.2	28.2
market orders		-	(49.2)	(54.7)	(37.0)	(51.7)	(56.1)
			13.9	18.7	11.8	13.7	17.1
	Non-Retail		52.1	61.8	38.4	55.0	62.1
			(57.2)	(66.5)	(39.0)	(62.9)	(63.1)
			36.1	45.2	28.4	35.9	44.5

Table III Bid-Ask Spreads and Price Impact

The table examines the effect of the change of trading fees on the effective spread, the effective spread plus twice the taker fee, the 5-minute price impact, the realized spread, and the realized spread plus twice the maker rebate. All measures are in basis points of the prevailing midpoint, and they are calculated as the volume-weighted average per day per security. The treatment group are the 65 NASDAQ/AMEX cross-listed securities; the sample period is from August 1, 2005 to November 30, 2005. The estimation is based on the following regression specification:

 $\Delta DV_{it} = \alpha_1 fee \ down_i + \alpha_2 fee \ neutral_i + event_t \times (\beta_1 fee \ down_i + \beta_2 fee \ neutral_i + \beta_3 fee \ up_i) + \gamma \mathsf{VIX}_t + \delta X_i + \xi + \epsilon_{it},$

where ΔDV_{it} is the day t realization of the dependent variable for treatment group security i less the realization of the measure for the *i*th control group match; *event*_t is a dummy variable that is 1 after October 1 2005 and 0 before; VIX_t is the closing value of CBOE's volatility index for day t, X_i is a vector of the aforementioned security level control variables (it is omitted in the fixed effects specification), and ξ is the intercept. Dummy variables fee down_i, fee neutral_i, and fee up_i are indicator variables for whether security i is, respectively, in the fee decrease, fee neutral or fee increase sub-sample. We estimate the specification with and without fixed effects. Standard errors are in parentheses and they are clustered by security and date. Coefficients for control variables are not reported for brevity. * indicates significance at the 10% level, ** at the 5% level, and *** at the 1% level. We test for equality of coefficients; "Yes" indicates that we reject the hypothesis of equality.

Dependent Variable	effective	e spread	effecti plus 2	ive spread \times taker fee	5-mi price i	nute mpact	5-m realized	inute 1 spread	realized sj 2×make	pread plus er rebate
Stock fixed effects	No	Yes	No	Yes	No	Yes	No	Yes	No	Yes
$event_t \times fee \ down_i$ $event_t \times fee \ neutral_i$	-1.76 (2.10) -11.03^{**} (5.17)	-1.77 (2.27) -11.04** (5.34)	-1.79 (2.14) -1.45 (5.57)	-1.80 (2.32) -1.46 (5.74)	-1.68 (1.67) -11.14** (4.86)	-1.68 (1.71) -11.14** (4.94)	$\begin{array}{c} -0.09 \\ (1.80) \\ 0.10 \\ (3.11) \end{array}$	$\begin{array}{c} -0.09 \\ (1.90) \\ 0.10 \\ (3.14) \end{array}$	$2.40 (1.88) 9.19^{***} (3.40)$	$2.40 (1.97) 9.19^{***} (3.42)$
$event_t \times fee \ up_i$	-18.95^{***} (7.08)	-19.03^{***} (7.27)	$ \begin{array}{l} 13.30 \\ (8.15) \end{array} $	$ \begin{array}{c} 13.21 \\ (8.31) \end{array} $	-9.05^{*} (5.19)	-9.11^{*} (5.27)	-9.90^{**} (4.50)	-9.92^{**} (4.64)	$14.76^{***} \\ (5.41)$	$14.74^{***} \\ (5.54)$
Observations Adjusted R-squared	$5,199 \\ 0.041$	$5,199 \\ 0.324$	$5,199 \\ 0.012$	$5,199 \\ 0.308$	$5,199 \\ 0.013$	$5,199 \\ 0.101$	$\begin{array}{c} 5,199\\ 0.018\end{array}$	$5,199 \\ 0.103$	$5,199 \\ 0.013$	$5,199 \\ 0.104$
fee $down \neq fee \ up$ fee $down \neq fee \ neutral$ fee $up \neq fee \ neutral$	Yes** Yes*	Yes**	Yes*	Yes*	Yes*	Yes*	Yes** Yes*	Yes** Yes*	Yes** Yes*	Yes** Yes*

Table IVVolume, Transactions and Fill Rates

The table examines the effect of the change of trading fees on the log of the daily dollar volume, the daily number of transactions, and the daily fill rate, which is computed as the fraction of market orders of all orders. The presented results are based on the estimation of equation (2) (also displayed in Table III); *event_i* is a dummy variable that is 1 after October 1 2005 and 0 before; dummy variables *fee down_i*, *fee neutral_i*, and *fee up_i* are indicator variables for whether security *i* is, respectively, in the fee-decrease, fee-neutral or fee-increase sub-sample. We estimate the specification with and without fixed effects. Standard errors are in parentheses and they are clustered by security and date. Coefficients for control variables and the VIX are not reported for brevity. * indicates significance at the 10% level, ** at the 5% level, and *** at the 1% level. We test for equality of coefficients; "Yes" indicates that we reject the hypothesis of equality.

Dependent Variable	<i>log</i> d volu	lollar 1me	transa	actions	fill	rate
Stock fixed effects	No	Yes	No	Yes	No	Yes
$event_t \times fee \ down_i$ $event_t \times fee \ neutral_i$ $event_t \times fee \ up_i$	$\begin{array}{c} 0.05 \\ (0.10) \\ 0.32^* \\ (0.18) \\ 0.26^* \\ (0.15) \end{array}$	$\begin{array}{c} 0.05 \\ (0.11) \\ 0.32^* \\ (0.18) \\ 0.26 \\ (0.16) \end{array}$	$\begin{array}{c} 43.15 \\ (38.03) \\ 55.87^{*} \\ (29.76) \\ 83.15^{*} \\ (47.40) \end{array}$	$\begin{array}{c} 43.15 \\ (43.35) \\ 55.87^* \\ (30.26) \\ 83.15^* \\ (50.03) \end{array}$	$2.58^{***} \\ (0.84) \\ 1.37^{**} \\ (0.64) \\ -2.08^{**} \\ (0.90)$	$2.58^{***} \\ (0.87) \\ 1.37^{**} \\ (0.67) \\ -2.08^{**} \\ (0.94)$
Observations Adjusted R-squared fee $down \neq fee$ up fee $down \neq fee$ neutral fee $up \neq fee$ neutral	5,199 0.089	5,199 0.510	$5,200 \\ 0.048$	5,200 0.499	5,200 0.174 Yes*** Yes***	5,200 0.464 Yes*** Yes***

Table VRetail Trader Behavior

The table examines the effect of the change of trading fees on retail trader behaviour. There are four dependent variables, computed for each group of traders, per day per security: % limit orders, % passive, log (aggressive dollar volume), and cum fee total costs. % limit orders is the % of all order that are limit orders; % passive is the percent of volume traded with passive limit orders; log (aggressive dollar volume) is the logarithm of the total dollar volume traded with marketable orders; and cum fee total costs are computed as the volume-weighted difference of the cum fee effective spread paid (for active orders) and the cum fee realized spread received (for passive orders). The presented results are based on estimating equation (3):

$$\Delta DV_{it} = \alpha_0 retail_{it} + retail_{it} \times (\alpha_1 fee \ down_i + \alpha_2 fee \ neutral_i + event_t \times (\beta_1 fee \ down_i + \beta_2 fee \ neutral_i + \beta_3 fee \ up_i)) + non-retail_{it} \times event_t \times (\beta_4 fee \ down_i + \beta_5 fee \ neutral_i + \beta_6 fee \ up_i) + \gamma \mathsf{VIX}_t + \delta X_i + \xi + \epsilon_{it},$$

where ΔDV_{it} is the day t realization of the dependent variable for treatment group security i less the realization of the measure for the *i*th control group match; *event*_t is a dummy variable that is 1 after October 1 2005 and 0 before; VIX_t is the closing value of CBOE's volatility index for day t, X_i is a vector of the aforementioned security level control variables (it is omitted in the fixed effects specification), and ξ is the intercept. Dummy variables fee down_i, fee neutral_i, and fee up_i are indicator variables for whether security i is, respectively, in the fee-decrease, fee-neutral or fee-increase sub-sample. Dummy variable retail_{it} is 1 if the value of the dependent variable was for retail traders and 0 otherwise, and non-retail_{it} = 1 - retail_{it}. Standard errors are in parentheses and they are clustered by security and date. Coefficients for control variables are not reported for brevity. * indicates significance at the 10% level, ** at the 5% level, and *** at the 1% level. We test for equality of coefficients for retail and non-retail traders; "Yes" indicates that we reject the hypothesis of equality.

Dependent Variable	% limit	orders	% pa	ssive	<i>log</i> agg dollar	gressive volume	cum total	n fee costs
Stock fixed effects	No	Yes	No	Yes	No	Yes	No	Yes
$event_t \times fee \ down_i \times retail_{it}$	-2.52^{**}	-2.52^{*}	-0.42	-0.41	-0.03	-0.03	-1.60	-1.61
$event_t \times fee \ down_i \times non-retail_{it}$	(1.20) -3.29^{***} (1.01)	(1.54) -1.51^{***} (0.57)	(0.51) 1.53^{**} (0.78)	(0.07) 0.76^{*} (0.45)	(0.00) (0.18)	(0.10) (0.01) (0.13)	(1.21) -1.09 (0.98)	(1.22) -1.45** (0.73)
$event_t \times fee \ neutral_i \times retail_{it}$	(2.44^{**}) (0.97)	(0.01) -2.44^{**} (1.03)	(0.10) -2.33^{***} (0.89)	(0.10) -2.33^{**} (0.92)	(0.16) (0.31^{**}) (0.16)	(0.10) (0.30^{*}) (0.16)	(0.00) -4.02 (2.57)	(0.10) -4.01 (2.59)
$event_t \times fee \ neutral_i \times non-retail_{it}$	0.58 (1.02)	-0.98 (0.80)	0.37 (1.06)	0.92 (0.61)	0.12 (0.27)	$0.37^{*'}$ (0.21)	-1.42 (1.68)	-0.62 (1.13)
$event_t \times fee \ up_i \times retail_{it}$	-0.86 (0.85)	-0.86 (0.88)	-2.36^{**} (1.00)	-2.36^{**} (1.05)	0.32^{**} (0.13)	0.32^{**} (0.14)	1.33 (2.81)	1.33 (2.83)
$event_t \times fee \ up_i \times non-retail_{it}$	2.38^{*} (1.25)	2.33^{**} (1.05)	$ \begin{array}{c} 0.23 \\ (1.00) \end{array} $	$\begin{array}{c} 0.38 \\ (0.71) \end{array}$	0.53^{**} (0.26)	$\begin{array}{c} 0.30 \\ (0.19) \end{array}$	1.16 (1.92)	$\begin{array}{c} 0.68 \\ (2.06) \end{array}$
Observations Adjusted R-squared	$10,399 \\ 0.130$	$10,399 \\ 0.36$	$10,391 \\ 0.177$	$10,391 \\ 0.287$	$10,367 \\ 0.096$	$10,367 \\ 0.499$	$10,391 \\ 0.012$	$10,\!391 \\ 0.082$
$ \begin{array}{lll} \textit{fee down:} & \textit{retail} \neq \textit{non-retail} \\ \textit{fee neutral:} & \textit{retail} \neq \textit{non-retail} \\ \textit{fee up:} & \textit{retail} \neq \textit{non-retail} \\ \end{array} $	Yes** Yes**	Yes**	Yes* Yes*	Yes** Yes*				

Figure 1 Per Share Exchange Fees.

The left panel plots the taker fees for a marketable order of one share under volume- and value-based pricing systems of exchange fees as functions of the security's price; the right panel plots the total exchanges fees (taker fee minus maker rebate) under the two systems.



Value-based taker fee = price $\times \frac{1}{55} \times 1\%$ Volume-based taker fee = 0.004

Value-based total fee = taker-maker = price × $(\frac{1}{55} \times 1\% - 0)$ Volume-based total fee = taker-maker = 0.004 - 0.0275

Figure 2 Differences in Total Fees

The panel plots the difference of volume- vs. value-based total exchange fees, $(\$.004 - \$.00275)/p - 1/55 \times 1/100$, measured in basis points, against the securities' July 2005 closing prices p, for the sample of cross-listed securities; we omit 9 stocks that have prices above \$22 to improve the exposition of the graph.



Figure 3 Effective Spreads without and with Taker Fees

We plot the differences of the volume-weighted effective spreads without (left panel) and with (right panel) taker fees for NAS-DAQ/AMEX cross-listed securities and their matches. The plots are for the securities in the fee-neutral group, that is, for the group of cross-listed securities for which the total exchange fee after October 1, 2005, was close to the 1.8 basis point post-event total fee of the non-crosslisted securities. All measures are in basis points of the prevailing midpoint. The solid, horizontal lines are pre- and post-event averages, the thin, dotted lines are the daily averages. The sample period is from August 1 until November 30, 2005.



Figure 4 Realized Spreads plus Maker Rebate and Price Impact

We plot the differences of the volume-weighted 5-minute realized spreads plus twice the maker rebate (left panel) and the 5-minute price impacts (right panel) for NASDAQ/AMEX cross-listed securities and their matches. The plots are for the securities in the fee-neutral group, that is, for the group of cross-listed securities for which the total exchange fee after October 1, 2005, was close to the 1.8 basis point post-event total fee of the non-crosslisted securities. All measures are in basis points of the prevailing midpoint. The solid, horizontal lines are pre- and post-event averages, the thin, dotted lines are the daily averages. The sample period is from August 1 until November 30, 2005.



Subsidizing Liquidity: The Impact of Make/Take Fees on Market Quality —Internet Appendix—

I. Measuring Competition: The Herfindahl Index

We quantify competition among traders by the Herfindahl Index. The index is widely used to assess market concentration, and it is computed as the sum of the squared market shares. We study the market for liquidity provision. In an electronic limit order book, liquidity is provided by passive orders and a trader's market share is this trader's share of the passive limit order volume.¹ The Herfindahl Index for different levels of liquidity providing entities (e.g., broker, trader) per day t per security i is

$$HHI_{it} = \sum_{k=1}^{n_t} \left(\frac{passive \ volume_{it}^k}{\sum_{k=1}^{n_t} passive \ volume_{it}^k} \right)^2, \tag{1}$$

where n_t is the number liquidity providing entities on day t in security i and passive volume_{it}^k is the k-th entity's total passive volume for that day and security. Higher values of the index correspond to higher levels of market concentration and thus to lower levels of

¹Weston (2000), Ellis, Michaely, and O'Hara (2002) and Schultz (2003) use the Herfindahl Index of market concentration to assess competition for market making in dealer markets; their indices are based on NASDAQ dealers' shares of volume.

competition (value 1 corresponds to monopolistic liquidity provision).

For our matching, we compute the HHI based on the liquidity providing broker. A broker on the TSX is a formally registered Participating Organization, and there are 95 brokers that are active in our data.

II. Cum Fee Effective and Realized Spreads

In the main text, we argue that the cum fee effective spread can be decomposed into the cum fee realized spread, the price impact, and the total fee, similarly to the decomposition of the effective spread in the absence of the exchange fees. For security i at time t, the latter relation is:

$$espread_{it} = rspread_{it} + price \ impact_{it}.$$
 (2)

As defined in the main text, the cum fee effective spread is the effective spread plus twice the taker fee, and that the cum fee realized spread is the realized spread plus twice the maker rebate. The taker fee and maker fee are both scaled by the prevailing midpoint, m_{ti} . Since the total fee is the taker fee minus the maker rebate, it holds that

$$\frac{espread_{it}}{+2 \times (taker fee - maker rebate)/m_{it}} = \frac{rspread_{it} + price impact_{it}}{+2 \times total fee/m_{it}}$$

Rearranging, we obtain

$$espread_{it} + 2 \times \frac{taker fee}{m_{it}} = rspread_{it} + 2 \times \frac{maker \ rebate}{m_{it}} + price \ impact_{it} + 2 \times \frac{total \ fee}{m_{it}}$$

Using the definitions of the cum fee effective and realized spreads, this last equation is exactly the expression from the main text,

 $cum fee espread_{it} = cum fee rspread_{it} + price impact_{it} + 2 \times total fee/m_{it}.$

III. Additional Regression Results

In what follows, we present a number of regression tables. These tables contain the full results from the regressions that we present in the main text, including the estimated coefficients for the control variables, which we omit in the main text. The order of the tables follows the order from the main text. Next, we add regression results for additional variables: Table VI presents results on the quoted bid-ask spread and depth, Tables VII, VIII, and IX display results for spread measures in cents as dependent variables, Table X presents results on quoting activities. Finally, Table XI presents the results for a different sub-sample split. All the tables include results from additional regression specifications.

We conduct inference in all regressions in this paper using double-clustered Cameron, Gelbach, and Miller (2011) standard errors, which are robust to cross-sectional correlation and idiosyncratic time-series persistence,² and we also present our results with stock fixed effects (these regressions, of course, do not include the stock-level controls). In the main text, we display only the estimates for the coefficients β_1 , β_2 , β_3 for the interaction terms; this appendix contains the full regression results.

²Cameron, Gelbach, and Miller (2011) and Thompson (2011) developed the double-clustering approach simultaneously. We follow the former for our panel regressions with stock-level controls, using their programming technique (using the Stata cgmreg.ado file), and we use the double-clustering approach within Stata for our fixed effects regressions (based on the xtivreg2 command). See also Petersen (2009) for a detailed discussion of (double-) clustering techniques.

Table IBid-Ask Spreads and Price Impact (Part I)

The table is similar to Table III in the main text. We consider four regression specifications. The first has no controls, the second has the controls as specified in the main text, the third is a stock fixed effects estimation *without* using the volatility index VIX as a control, the fourth is a stock fixed effects estimation *with* the volatility index VIX as a control. The second and fourth specifications are as in the main text; here, we present the results for all variables (the main text shows only the estimates for the coefficients of interest).

Dependent Variable		effective	e spread		effective	e spread pl	us $2 \times tak$	ker fee
Stock fixed effects	No	No	Yes	Yes	No	No	Yes	Yes
$\mathrm{event}_t \times \mathrm{fee} \ \mathrm{decrease}_i$	-3.63^{*} (1.97)	-1.76 (2.10)	-3.63^{*} (2.17)	-1.77 (2.27)	-3.46^{*} (2.02)	-1.79 (2.14)	-3.46 (2.21)	-1.80 (2.32)
$\operatorname{event}_t \times \operatorname{fee} \operatorname{neutral}_i$	-12.90^{**} (5.10)	-11.03^{**} (5.17)	-12.90^{**} (5.28)	-11.04^{**} (5.34)	-3.12 (5.50)	-1.45 (5.57)	-3.12 (5.67)	-1.46 (5.74)
$\operatorname{event}_t \times \operatorname{fee} \operatorname{increase}_i$	-20.81^{***} (7.16)	(7.08)	-20.89^{***} (7.35)	-19.03*** (7.27)	11.62 (8.19)	13.30 (8.15)	11.54 (8.35)	(8.31)
fee $increase_i$	-9.43 (8.92)	(11.48) (21.56)	()		-9.43 (8.92)	3.15 (21.86)	()	()
fee $neutral_i$	-4.66 (6.22)	6.70 (12.22)			-4.66 (6.22)	2.72 (12.49)		
log price	()	(12.29)			()	3.29 (12.47)		
log market cap		2.35 (7.47)				3.80 (7.63)		
Herfindahl		22.30 (83.14)				38.61 (85.00)		
turnover		-0.40 (1.10)				-0.45 (1.13)		
$\sigma(\text{return})$		1.49 (3.87)				2.30 (3.87)		
VIX		-2.29^{***} (0.83)		-2.28^{**} (0.91)		-2.05^{**} (0.84)		-2.04^{**} (0.93)
Constant	-12.56^{***} (3.90)	-62.39 (135.66)			-12.56^{***} (3.90)	-86.91 (138.29)		` ,
Observations Adjusted R-squared	$5,199 \\ 0.032$	$5,199 \\ 0.041$	$5,199 \\ 0.321$	$5,199 \\ 0.324$	$5,199 \\ 0.005$	$5,199 \\ 0.012$	$5,\!199 \\ 0.306$	$5,199 \\ 0.308$
decrease \neq increase decrease \neq fee neutral increase \neq fee neutral	Yes** Yes*	Yes** Yes*	Yes**	Yes**	Yes*	Yes*	Yes*	Yes*

Table IIBid-Ask Spreads and Price Impact (Part II)

The table is similar to Table III in the main text. We consider four regression specifications. The first has no controls, the second has the controls as specified in the main text, the third is a stock fixed effects estimation *without* using the volatility index VIX as a control, the fourth is a stock fixed effects estimation *with* the volatility index VIX as a control. The second and fourth specifications are as in the main text; here, we present the results for all variables (the main text shows only the estimates for the coefficients of interest).

Dependent Variable		5-min realized	nute spread			realized plus 2×ma	spread aker rebate			5-miı price iı	nute npact	
Stock fixed effects	No	No	Yes	Yes	No	No	Yes	Yes	No	No	Yes	Yes
$event_t \times fee \ decrease_i$ $event_t \times fee \ neutral_i$ $event_t \times fee \ increase_i$	-0.04 (1.65) 0.15 (2.93) -9.85**	-0.09 (1.80) 0.10 (3.11) -9.90**	-0.04 (1.74) 0.15 (2.96) -9.87**	-0.09 (1.90) 0.10 (3.14) -9.92**	$\begin{array}{c} 2.58 \\ (1.72) \\ 9.37^{***} \\ (3.21) \\ 14.94^{***} \end{array}$	$\begin{array}{c} 2.40 \\ (1.88) \\ 9.19^{***} \\ (3.40) \\ 14.76^{***} \end{array}$	$\begin{array}{c} 2.58 \\ (1.81) \\ 9.37^{***} \\ (3.23) \\ 14.92^{***} \end{array}$	2.40 (1.97) 9.19*** (3.42) 14.74***	-3.59** (1.53) -13.05*** (5.03) -10.96**	-1.68 (1.67) -11.14^{**} (4.86) -9.05^{*}	-3.59^{**} (1.57) -13.05^{**} (5.12) -11.02^{**}	-1.68 (1.71) -11.14** (4.94) -9.11*
fee increase _i fee neutral _i	$(4.53) \\ -10.65 \\ (6.48) \\ -4.98$	$(4.50) \\ 9.31 \\ (14.18) \\ 6.30$	(4.70)	(4.64)	(5.45) -10.65 (6.48) -4.98	(5.41) 3.59 (14.36) 3.56	(5.59)	(5.54)	(5.50) 1.22 (4.95) 0.32	$(5.19) \\ 2.17 \\ (11.75) \\ 0.40$	(5.56)	(5.27)
log price	(4.08)	(8.97) 6.94 (6.81)			(4.08)	(9.16) 3.98 (6.91)			(4.05)	(6.65) 0.66 (7.87)		
log market cap Herfindahl		$2.04 \\ (3.84) \\ 23.30 \\ (56.26)$				$ \begin{array}{r} 3.04 \\ (4.00) \\ 34.52 \\ (59.60) \end{array} $				$\begin{array}{c} 0.31 \\ (5.89) \\ -1.00 \\ (58.87) \end{array}$		
turnover $\sigma(\text{return})$		0.06 (0.65) -3.36 (2.02)				0.02 (0.67) -2.81 (2.98)				-0.46 (0.77) 4.86 (3.47)		
VIX	-8 87***	(2.32) 0.06 (0.71) -73.94		$\begin{array}{c} 0.06 \\ (0.74) \end{array}$	-8 87***	(2.58) 0.22 (0.71) -90.80		0.22 (0.75)	-3 69**	(3.47) -2.34^{***} (0.86) 11.55		-2.34^{***} (0.89)
Constant	(3.09)	(80.82)			(3.09)	(85.03)			(1.56)	(111.56)		
Observations Adjusted R-squared	$5,199 \\ 0.012$	$5,199 \\ 0.018$	$5,199 \\ 0.103$	$5,199 \\ 0.103$	$5,199 \\ 0.008$	$5,199 \\ 0.013$	$5,199 \\ 0.104$	$5,199 \\ 0.104$	$5,199 \\ 0.007$	$5,199 \\ 0.013$	$5,199 \\ 0.099$	$5,199 \\ 0.101$
decrease \neq increase decrease \neq fee neutral increase \neq fee neutral	Yes** Yes*	Yes** Yes*	Yes* Yes*	Yes* Yes*	Yes** Yes*	Yes** Yes*	Yes** Yes*	Yes** Yes*	Yes*	Yes*	Yes*	Yes*

Table IIIVolume, Transactions and Fill Rates

The table is similar to Table IV in the main text. We consider four regression specifications. The first has no controls, the second has the controls as specified in the main text, the third is a stock fixed effects estimation *without* using the volatility index VIX as a control, the fourth is a stock fixed effects estimation *with* the volatility index VIX as a control. The second and fourth specifications are as in the main text; here, we present the results for all variables (the main text shows only the estimates for the coefficients of interest).

Dependent Variable		log dolla	r volume	:		transac	tions			fill ra	te	
Stock fixed effects	No	No	Yes	Yes	No	No	Yes	Yes	No	No	Yes	Yes
$\operatorname{event}_t \times \operatorname{fee} \operatorname{decrease}_i$	$0.03 \\ (0.10)$	$0.05 \\ (0.10)$	0.03 (0.11)	$0.05 \\ (0.11)$	30.80 (37.83)	43.15 (38.03)	30.80 (43.68)	43.15 (43.35)	2.88^{***} (0.82)	2.58^{***} (0.84)	2.88^{***} (0.87)	2.58^{***} (0.87)
$\operatorname{event}_t \times \operatorname{fee neutral}_i$	0.30^{*} (0.17)	0.32^{*} (0.18)	0.30^{*} (0.18)	0.32^{*} (0.18)	43.52 (28.44)	55.87^{*} (29.76)	43.52 (29.25)	55.87^{*} (30.26)	1.68^{***} (0.63)	1.37^{**} (0.64)	1.68^{**} (0.67)	1.37^{**} (0.67)
$\operatorname{event}_t \times \operatorname{fee} \operatorname{increase}_i$	$\begin{array}{c} 0.23 \\ (0.15) \end{array}$	0.26^{*} (0.15)	$0.24 \\ (0.16)$	$0.26 \\ (0.16)$	$70.80 \\ (44.95)$	83.15^{*} (47.40)	$70.80 \\ (47.81)$	83.15^{*} (50.03)	-1.77^{**} (0.90)	-2.08^{**} (0.90)	-1.77^{*} (0.95)	-2.08^{**} (0.94)
fee $increase_i$	$\begin{array}{c} 0.01 \\ (0.34) \end{array}$	$\begin{array}{c} 0.66 \\ (0.82) \end{array}$			-135.06 (134.45)	$95.55 \\ (360.49)$			0.86 (2.29)	-0.14 (4.19)		
fee neutral $_i$	-0.42 (0.29)	0.00 (0.43)			-91.96 (101.45)	45.10 (176.25)			-3.54^{*} (2.05)	-3.02 (2.76)		
log price		(0.06) (0.39)				40.49 (148.10) 74.70				-2.99^{*} (1.68)		
Herfindahl		(0.23) (0.22) 0.40				(114.70) (168.25)				(0.92)		
turnover		(2.06) 0.10^{**}				(665.05) 15.02				(11.18) 0.30^*		
$\sigma(ext{return})$		(0.05) -0.14				(16.78) 40.62				(0.18) -0.87		
VIX		(0.14) - 0.03^*		-0.03		(53.52) -15.14***		-15.14***		(0.77) 0.38^{***}		0.38***
Constant	-0.11 (0.21)	(0.02) -5.07 (4.38)		(0.02)	163.81^{*} (96.80)	$\begin{array}{c} (4.37) \\ -1,526.91 \\ (2,568.03) \end{array}$		(4.91)	-15.15^{***} (1.73)	$(0.12) \\ -64.57^{***} \\ (18.72)$		(0.13)
Observations Adjusted R-squared	$5,199 \\ 0.017$	$5,199 \\ 0.089$	$5,199 \\ 0.510$	$5,199 \\ 0.510$	$5,200 \\ 0.012$	$5,200 \\ 0.048$	$5,200 \\ 0.497$	$5,200 \\ 0.499$	$5,200 \\ 0.044$	$5,200 \\ 0.174$	$5,200 \\ 0.462$	$5,200 \\ 0.464$
decrease \neq increase decrease \neq fee neutral									Yes***	Yes***	Yes***	Yes***
increase \neq fee neutral									Yes***	Yes***	Yes***	Yes***

Table IVRetail Trader Behavior (Part I)

The table is similar to Table V in the main text. We consider four regression specifications. The first has no controls, the second has the controls as specified in the main text, the third is a stock fixed effects estimation *without* using the volatility index VIX as a control, the fourth is a stock fixed effects estimation *with* the volatility index VIX as a control. The second and fourth specifications are as in the main text; here, we present the results for all variables.

Dependent Variable		cum fee t	total costs			% pas	sive	
Firm fixed effects	No	No	Yes	Yes	No	No	Yes	Yes
fee decrease _i × retail _{it} × event _t	-1.96 (1.20)	-1.60 (1.21)	-1.96 (1.21)	-1.61 (1.22)	-0.34 (0.59)	-0.42 (0.57)	-0.33	-0.41
fee decrease _i × non-retail _{it} × event _t	(3.07^{**}) (1.21)	(1.21) -1.09 (0.98)	(1.21) -1.81*** (0.68)	(1.45^{**}) (0.73)	2.82^{***} (0.89)	(0.51) 1.53^{**} (0.78)	(0.84^{*}) (0.45)	(0.76^{*}) (0.45)
fee neutral _i × retail _{it} × event _t	(1.21) -4.38^{*} (2.59)	(0.50) -4.02 (2.57)	(0.00) -4.36^{*} (2.62)	(0.10) -4.01 (2.59)	(0.83) -2.24^{**} (0.88)	(0.10) -2.33^{***} (0.89)	(0.10) -2.25^{**} (0.91)	(0.10) -2.33^{**} (0.92)
fee neutral _i × non-retail _{it} × event _t	(2.86) (1.86) (1.70)	(2.61) -1.42 (1.68)	(2.02) -0.97 (1.11)	(2.00) -0.62 (1.13)	(0.00) (0.50) (1.04)	(0.05) (0.37) (1.06)	(0.01) 1.00^{*} (0.61)	(0.92) (0.61)
fee $increase_i \times retail_{it} \times event_t$	(1.10) (0.97) (2.86)	(1.00) 1.33 (2.81)	(1.11) 0.97 (2.88)	(1.13) (1.33) (2.83)	-2.28^{**}	-2.36^{**}	(0.01) -2.28^{**} (1.06)	(0.01) -2.36^{**} (1.05)
fee $increase_i \times non-retail_{it} \times event_t$	(2.00) 2.31 (2.29)	(2.01) 1.16 (1.92)	(2.00) (2.03) (2.08)	(2.05) 0.68 (2.06)	(1.02) -0.78 (1.18)	(1.00) 0.23 (1.00)	(1.00) 0.46 (0.69)	(1.03) 0.38 (0.71)
$increase_i \times retail_{it}$	(2.23) (2.09)	(1.52) -2.81 (3.31)	(2.00)	(2.00)	(1.10) -1.36 (2.18)	(1.00) (0.94) (2.64)	(0.05)	(0.11)
$neutral_i \times retail_{it}$	(2.05) -0.14 (1.46)	(0.01) -1.69 (1.88)			(2.10) 0.65 (1.93)	(2.04) 1.80 (2.09)		
retail	(1.40) -3.97^{***} (1.45)	(1.00) -2.34^{*} (1.36)			(1.55) 15.59^{***} (1.70)	(2.05) 14.38^{***} (1.86)		
log price	(1.40)	(1.50) -1.66 (1.51)			(1.70)	(1.00) 1.07 (1.00)		
log market cap		(1.51) 0.90 (1.26)				(1.00) -0.14 (0.06)		
turnover		(1.30) -0.24 (0.21)				(0.90) -0.21 (0.14)		
$\sigma({ m return})$		(0.21) 1.81 (1.11)				(0.14) (0.29) (0.72)		
Herfindahl		(1.11) 9.10 (16.99)				(0.73) -8.93 (12.22)		
VIX		(10.88) -0.43^{**} (0.18)		-0.43^{**}		(12.55) 0.10 (0.00)		0.10
Constant	2.21^{**} (1.12)	(0.18) -11.56 (28.48)		(0.20)	-7.86^{***} (0.73)	(0.09) -6.03 (21.36)		(0.10)
Observations Adjusted R sequered	10,391	10,391	10,391	10,391	10,391 0.173	10,391	10,391	10,391
Aujustea n-squarea	0.009	0.012	0.001	0.062	0.179	0.177	0.201	0.201
Fee decrease: retail \neq non-retail Fee neutral: retail \neq non-retail Fee increase: retail \neq non-retail					Yes*** Yes*	Yes* Yes*	Yes** Yes*	Yes** Yes*

Table VRetail Trader Behavior (Part II)

The table is similar to Table V in the main text. We consider four regression specifications. The first has no controls, the second has the controls as specified in the main text, the third is a stock fixed effects estimation *without* using the volatility index VIX as a control, the fourth is a stock fixed effects estimation *with* the volatility index VIX as a control. The second and fourth specifications are as in the main text; here, we present the results for all variables.

Dependent Variable		% limit	orders			<i>log</i> d active	lollar volume	
Firm fixed effects	No	No	Yes	Yes	No	No	Yes	Yes
fee decrease _i × retail _{it} × event _t	-2.65^{**}	-2.52^{**}	-2.65^{**}	-2.52^{*}	-0.05	-0.03	-0.06	-0.03
fee decrease _i × non-retail _{it} × event _t	-3.68^{***}	-3.29^{***}	(1.64^{***})	$(1.51)^{-1.51***}$	(0.00) (0.06) (0.22)	(0.00) (0.18)	(0.10) -0.01 (0.12)	(0.10) (0.13)
fee neutral _i × retail _{it} × event _t	(1.05) -2.57^{***} (0.05)	(1.01) -2.44** (0.07)	(0.50) -2.57^{**} (1.02)	(0.57) -2.44** (1.03)	(0.22) 0.28^{*} (0.15)	(0.18) 0.31^{**} (0.16)	(0.13) 0.28^{*} (0.16)	(0.13) 0.30^{*} (0.16)
fee neutral _i × non-retail _{it} × event _t	(0.95) 0.80 (1.08)	(0.97) 0.58 (1.02)	(1.02) -1.11 (0.70)	(1.03) -0.98 (0.80)	(0.13) 0.04 (0.28)	(0.10) 0.12 (0.27)	(0.10) 0.35^{*} (0.21)	(0.10) 0.37^{*} (0.21)
fee increase _i × retail _{it} × event _t	(1.08) -0.99 (0.85)	(1.02) -0.86 (0.85)	(0.19) -0.99 (0.87)	(0.80) -0.86 (0.88)	(0.28) 0.30^{**} (0.13)	(0.27) 0.32^{**} (0.13)	(0.21) 0.30^{**} (0.14)	(0.21) 0.32^{**} (0.14)
fee increase _i × non-retail _{it} × event _t	(0.85) 2.14 (1.45)	(0.85) 2.38^{*} (1.25)	(0.87) 2.20^{**} (1.05)	(0.00) 2.33^{**} (1.05)	(0.13) (0.49) (0.32)	(0.13) 0.53^{**} (0.26)	(0.14) 0.27 (0.10)	(0.14) 0.30 (0.10)
$increase_i \times retail_{it}$	(1.43) -6.99** (2.78)	(1.23) -7.14** (2.51)	(1.05)	(1.05)	(0.32) -0.24 (0.21)	(0.20) -0.15 (0.45)	(0.19)	(0.19)
$neutral_i \times retail_{it}$	(2.78) -0.81 (2.01)	(3.31) -1.41 (2.20)			(0.51) -0.46 (0.20)	(0.45) -0.35 (0.20)		
retail	(3.01) -3.90 (2.72)	(3.30) -3.64 (2.00)			(0.29) -0.47^{*} (0.28)	(0.50) -0.54^{*} (0.20)		
log price	(2.73)	(2.90) 1.16 (1.14)			(0.28)	(0.30) -0.17		
log market cap		(1.14) -1.19 (1.00)				(0.21) 0.21		
turnover		(1.09) - 0.35^{**}				(0.18) 0.09^{**}		
$\sigma({ m return})$		(0.16) 1.34^*				(0.04) -0.12		
Herfindahl		(0.78) 9.52 (12,17)				(0.11) -0.86		
VIX		(12.17) -0.16		-0.16		(1.78) - 0.03^{**}		-0.03*
Constant	12.32^{***} (0.85)	(0.12) 32.77 (23.05)		(0.13)	$\begin{array}{c} 0.04 \\ (0.17) \end{array}$	$(0.01) \\ -3.34 \\ (3.55)$		(0.02)
Observations Adjusted R-squared	$10,399 \\ 0.106$	$10,399 \\ 0.130$	$10,399 \\ 0.360$	$10,\!399 \\ 0.360$	$10,367 \\ 0.051$	$10,367 \\ 0.096$	$10,367 \\ 0.498$	$10,367 \\ 0.499$
Fee decrease: retail \neq non-retail Fee neutral: retail \neq non-retail Fee increase: retail \neq non-retail	Yes** Yes*	Yes** Yes**	Yes**	Yes**				

Table VI Quoted Liquidity

The treatment group are the 65 NASDAQ/AMEX cross-listed securities; the sample period is from August 1, 2005 to November 30, 2005. The estimation is based on the following regression specification:

$$\Delta DV_{it} = \alpha_1 fee \ down_i + \alpha_2 fee \ neutral_i + event_t \times (\beta_1 fee \ down_i + \beta_2 fee \ neutral_i + \beta_3 fee \ up_i) + \gamma \mathsf{VIX}_t + \delta X_i + \xi + \epsilon_{it},$$

where ΔDV_{it} is the day t realization of the dependent variable for treatment group security i less the realization of the measure for the *i*th control group match; *event*_t is a dummy variable that is 1 after October 1 2005 and 0 before; VIX_t is the closing value of CBOE's volatility index for day t, X_i is a vector of the aforementioned security level control variables (it is omitted in the fixed effects specification), and ξ is the intercept. Dummy variables *fee down*_i, *fee neutral*_i, and *fee up*_i are indicator variables for whether security *i* is, respectively, in the fee decrease, fee neutral or fee increase sub-sample. We estimate the specification with and without fixed effects. Standard errors are in parentheses and they are clustered by security and date. We consider four regression specifications. The first has no controls, the second has the controls as specified in the main text, the third is a stock fixed effects estimation without using the volatility index VIX as a control, the fourth is a stock fixed effects estimation with the volatility index VIX as a control. * indicates significance at the 10% level, ** at the 5% level, and *** at the 1% level. We test for equality of coefficients; "Yes" indicates that we reject the hypothesis of equality.

Dependent Variable	tim	e-weighted	quoted spre	ad	log tin	me-weighte	ed dollar d	lepth
Stock fixed effects	No	No	Yes	Yes	No	No	Yes	Yes
$\mathrm{event}_t \times \mathrm{fee} \ \mathrm{decrease}_i$	-7.19^{***} (2.40)	-5.14^{**} (2.61)	-7.19^{***} (2.61)	-5.14^{*} (2.80)	0.08 (0.07)	0.10 (0.07)	0.08 (0.07)	0.10 (0.08)
$\operatorname{event}_t \times \operatorname{fee} \operatorname{neutral}_i$	-18.20^{***} (6.19)	-16.15^{***} (6.26)	-18.20^{***} (6.42)	(6.49)	0.15^{***} (0.05)	0.16^{***} (0.05)	0.15^{***} (0.06)	0.16^{***} (0.06)
$\operatorname{event}_t \times \operatorname{fee} \operatorname{increase}_i$	-21.85^{***} (8.09)	-19.80** (8.01)	-21.85^{***} (8.28)	-19.80** (8.21)	0.06 (0.08)	0.07 (0.09)	0.06 (0.08)	0.07 (0.09)
fee $increase_i$	-7.31 (10.33)	8.29 (24.15)			0.19 (0.14)	0.02 (0.34)		
fee $neutral_i$	-6.67 (7.57)	2.40 (14.03)			-0.34^{**} (0.14)	-0.35^{*} (0.21)		
log price	. ,	4.04 (14.45)			. ,	-0.27^{*} (0.16)		
log market cap		5.25 (9.12)				0.25^{***} (0.08)		
Herfindahl		46.28 (96.10)				$0.61 \\ (1.01)$		
turnover		-1.10 (1.32)				0.04^{**} (0.02)		
$\sigma({ m return})$		$5.39 \\ (4.57)$				-0.05 (0.07)		
VIX		-2.52^{***} (0.82)		-2.52^{***} (0.93)		-0.01 (0.01)		-0.01 (0.01)
Constant	-12.45^{***} (4.22)	-117.69 (165.99)			-0.30^{***} (0.11)	-4.84^{***} (1.71)		
Observations Adjusted R-squared	$5,200 \\ 0.034$	$5,200 \\ 0.048$	$5,200 \\ 0.437$	$5,200 \\ 0.440$	$5,200 \\ 0.071$	$5,200 \\ 0.154$	$5,200 \\ 0.446$	$5,200 \\ 0.446$
decrease \neq increase decrease \neq fee neutral increase \neq fee neutral	Yes* Yes*	Yes* Yes*	Yes*	Yes*				

Table VIIQuoted Liquidity: Spreads in cents and Depth in shares

The table presents the same regressions as Table VI above except that bid-ask spreads are measured in cents and depth is measured in shares, not dollars. For the coefficients on spreads, it makes little sense to compare differences in effects because of the differences in share prices. For depth, there were no significant results.

Dependent Variable	tim	e-weighted	quoted sp	read	<i>log</i> t	ime-weight	ed dollar o	depth
Stock fixed effects	No	No	Yes	Yes	No	No	Yes	Yes
$\mathrm{event}_t \times \mathrm{fee} \ \mathrm{decrease}_i$	-1.81^{***} (0.48)	-1.64^{***} (0.49)	-1.81^{***} (0.61)	-1.64^{***} (0.61)	0.08 (0.07)	0.08 (0.07)	0.08 (0.07)	0.08 (0.07)
$\operatorname{event}_t \times \operatorname{fee} \operatorname{neutral}_i$	-1.19^{***} (0.42)	-1.03^{**} (0.42)	-1.19 ^{***} (0.44)	-1.03^{**} (0.44)	0.13^{***} (0.04)	0.13^{***} (0.05)	0.13^{***} (0.05)	0.13^{***} (0.05)
$\operatorname{event}_t \times \operatorname{fee} \operatorname{increase}_i$	-0.35^{**} (0.15)	-0.18 (0.15)	-0.35^{**} (0.15)	-0.18 (0.16)	0.03 (0.08)	0.03 (0.09)	0.03 (0.08)	0.03 (0.09)
fee $increase_i$	2.90^{*}	(5.15)	()	()	0.11 (0.14)	-0.12 (0.34)		
fee $neutral_i$	1.44 (1.69)	-0.56 (2.51)			-0.32^{**} (0.15)	-0.34^{*} (0.20)		
log price	、	-2.41 (2.33)			()	-0.34^{**} (0.15)		
log market cap		(1.83)				0.32^{***} (0.09)		
Herfindahl		-3.96 (10.05)				0.75 (0.90)		
turnover		-0.13 (0.11)				0.05^{***} (0.02)		
$\sigma({ m return})$		0.76 (0.66)				-0.04 (0.07)		
VIX		-0.20^{***} (0.05)		-0.20^{***} (0.07)		0.00 (0.01)		0.00 (0.01)
Constant	-3.35^{**} (1.64)	-11.58 (42.58)		` ,	-0.22^{**} (0.11)	-6.13^{***} (1.96)		()
Observations Adjusted R-squared	$5,200 \\ 0.070$	$5,200 \\ 0.092$	$5,200 \\ 0.633$	$5,200 \\ 0.635$	$5,200 \\ 0.051$	$5,200 \\ 0.173$	$5,200 \\ 0.425$	$5,200 \\ 0.425$

Table VIIIBid-Ask Spreads and Price Impact in cents (Part I)

The table presents the same regressions as Table I above except the underlying measures are in cents.

Dependent Variable		effective	e spread		effective spread plus $2 \times \text{taker}$ fee				
Stock fixed effects	No	No	Yes	Yes	No	No	Yes	Yes	
$\operatorname{event}_t \times \operatorname{fee} \operatorname{decrease}_i$	-1.03^{**} (0.51)	-0.85^{*} (0.51)	-1.03^{*} (0.59)	-0.85 (0.58)	-1.33^{**} (0.55)	-1.15^{**} (0.55)	-1.33^{**} (0.63)	-1.15^{*} (0.62)	
$\operatorname{event}_t \times \operatorname{fee} \operatorname{neutral}_i$	-0.83^{***} (0.31)	-0.65^{**} (0.31)	-0.83^{***} (0.32)	-0.65^{**} (0.32)	-0.27 (0.31)	-0.09 (0.31)	-0.27 (0.32)	-0.09 (0.32)	
$\operatorname{event}_t \times \operatorname{fee} \operatorname{increase}_i$	-0.35^{**} (0.14)	-0.16 (0.15)	-0.35^{**} (0.14)	-0.16 (0.15)	0.36^{***} (0.14)	0.55^{***} (0.15)	0.36^{**} (0.14)	0.55^{***} (0.16)	
fee $increase_i$	2.66^{**} (1.27)	-0.25 (4.07)	× /	× ,	2.68^{**} (1.35)	-0.93 (4.25)	· · /		
fee $neutral_i$	1.43 (1.30)	0.06 (2.06)			1.43 (1.37)	-0.33 (2.12)			
log price		-1.61 (1.76)			. ,	-1.85 (1.83)			
log market cap		0.48 (1.38)				0.40 (1.44)			
Herfindahl		-6.82 (7.71)				-7.36 (8.00)			
turnover		-0.07 (0.09)				-0.08 (0.09)			
$\sigma(\text{return})$		$\begin{array}{c} 0.36 \\ (0.50) \end{array}$				$\begin{array}{c} 0.36 \ (0.53) \end{array}$			
VIX		-0.23^{***} (0.05)		-0.23^{***} (0.07)		-0.23^{***} (0.05)		-0.22^{***} (0.07)	
Constant	-3.15^{**} (1.26)	-4.17 (32.31)			-3.18^{**} (1.34)	(1.53) (33.76)			
Observations Adjusted R-squared	$5,199 \\ 0.059$	$5,199 \\ 0.076$	$5,199 \\ 0.502$	$5,199 \\ 0.505$	$5,199 \\ 0.074$	$5,199 \\ 0.093$	$5,199 \\ 0.527$	$5,199 \\ 0.529$	

Table IXBid-Ask Spreads and Price Impact in cents (Part II)

5-minute realized spread 5-minute Dependent Variable realized spread plus $2 \times \text{maker rebate}$ price impact No Stock fixed effects No No Yes Yes No Yes Yes No No Yes Yes -0.190.450.36 0.45 -0.85^{*} -0.75 $event_t \times fee decrease_i$ -0.19-0.10-0.10 0.36-0.75 -0.85^{*} (0.51)(0.51)(0.52)(0.52)(0.51)(0.51)(0.52)(0.52)(0.47)(0.46)(0.51)(0.50) 0.53^{**} -0.71*** $event_t \times fee neutral_i$ -0.02-0.02 0.06 0.61^{***} 0.53^{**} 0.61^{***} -0.81*** -0.71*** -0.81*** 0.06(0.22)(0.22)(0.22)(0.22)(0.22)(0.22)(0.22)(0.22)(0.27)(0.25)(0.28)(0.26) $event_t \times fee increase_i$ -0.22** -0.22^{**} -0.13 0.33*** 0.42^{***} 0.33*** 0.42^{***} -0.13 -0.03 -0.13-0.03 -0.13(0.10)(0.13)(0.10)(0.13)(0.10)(0.13)(0.10)(0.13)(0.14)(0.14)(0.14)(0.15)1.81*** 1.81*** fee increase_i -1.46 -1.46 0.851.21(0.66)(1.65)(0.66)(1.65)(0.90)(3.28)fee neutral_i 1.13^{*} -0.60 1.13^{*} -0.60 0.30 0.67 (0.68)(1.01)(0.68)(1.01)(0.92)(1.64)log price -1.27^{*} -1.27^{*} -0.34(0.73)(0.73)(1.28)log market cap -0.27 -0.27 0.75(0.38)(0.38)(1.19)Herfindahl -5.91^{*} -5.91^{*} -0.91(3.37)(3.37)(6.31)0.030.03 turnover -0.10 (0.04)(0.04)(0.09)-0.24 -0.24 0.60 $\sigma(\text{return})$ (0.17)(0.17)(0.47)VIX -0.10 -0.10 -0.10 -0.12^{**} -0.12^{**} -0.10 (0.07)(0.07)(0.07)(0.07)(0.05)(0.06)-2.23*** -2.23*** Constant 10.3710.37-0.92-14.54(0.89)(28.28)(0.66)(8.38)(0.66)(8.38)5,199Observations 5,1995,1995,1995,1995,1995,1995,1995,1995,1995,1995,1990.121 Adjusted R-squared 0.021 0.0370.1220.023 0.038 0.1230.1230.012 0.0250.230 0.230

The table presents the same regressions as Table II above except the underlying measures are in cents.

Table XImprovements in Spreads and Depth

This table presents the results from a regression as in the tables above, with the dependent variable being the number of improvements in the best bid and ask (either with respect to size and price), as well as the number of improvements decomposed in improvements in depth (or size) and spreads (or price).

Dependent Variable	best l	bid and ask i	mproveme	ents	S	read improvements				vements	ments	
Stock fixed effects	No	No	Yes	Yes	No	No	Yes	Yes	No	No	Yes	Yes
$\operatorname{event}_t \times \operatorname{fee} \operatorname{decrease}_i$	221^{*} (127.4)	253^{**} (120.8)	221 (191.5)	253 (193.5)	-102^{***} (4.2)	-100^{***} (23.7)	-102^{*} (59.2)	-100^{*} (57.8)	323^{**} (135.2)	353^{***} (128.0)	323^{*} (166.7)	353^{**} (169.0)
$\operatorname{event}_t \times \operatorname{fee} \operatorname{neutral}_i$	37 (68.0)	$69 \\ (65.6)$	37 (72.0)	$69 \\ (74.3)$	-29 (20.4)	-27^{*} (15.1)	-29 (21.0)	-27 (21.6)		96^{*} (51.2)	66 (54.5)	96^{*} (56.5)
$event_t \times fee increase_i$	71 (45.5)	104^{***} (35.6)	71 (46.3)	104^{**} (50.4)	-21^{**} (9.7)	-18^{***} (4.7)	-21^{**} (10.2)	-18 (11.3)	92^{**} (43.0)	122^{***} (40.9)	92^{**} (43.6)	122^{***} (46.8)
fee $increase_i$	$-2,200^{***}$ (843.6)	1,306 (2.676.6)	· · /	· · ·	-756** (371.6)	1,343 (1.048.3)	~ ,	· /	$-1,444^{***}$ (504.8)	-36 (1.721.8)	× /	· · /
fee $neutral_i$	$-1,661^{*}$ (848.5)	384 (1,309,5)			-634^{*} (371.6)	512 (488.0)			$-1,027^{**}$ (512.6)	-129 (875 1)		
log price	(010.0)	(1,000.0) 880 (1,043.6)			(01110)	(100.0) 741^{*} (401.8)			(012.0)	(310.1) 139 (705.5)		
log market cap		(1,045.0) 850 (753.5)				(401.0) 241 (205.4)				(100.0) 609 (487.8)		
Herfindahl		(105.5) 684 (4.874.5)				(255.4) 1,583 (1,003,4)				(401.0) -899 (3.010.8)		
turnover		(4,014.0) -7 (55.3)				(1,353.4) -23 (18.0)				(5,010.8) 16 (41.6)		
$\sigma(\text{return})$		(33.3) (332) (235, 7)				(10.9) 117 (128.2)				(41.0) 215 (214.0)		
VIX		(323.7) -40*** (10.2)		-40^{**}		(120.2) -3		-3		(214.9) -37***		-37^{***}
Constant	$2,519^{***} \\ (842.0)$	(12.3) -18,395 (18,410.6)		(17.3)	826^{**} (371.1)	(5.2) -7,009 (7,464.6)		(6.1)	$1,693^{***} \\ (503.2)$	(7.1) -11,386 (11,380.8)		(12.7)
Observations Adjusted R-squared	$5,200 \\ 0.131$	$5,200 \\ 0.260$	$5,200 \\ 0.850$	$5,200 \\ 0.851$	$5,200 \\ 0.086$	$5,200 \\ 0.251$	$5,200 \\ 0.834$	$5,200 \\ 0.834$	$5,200 \\ 0.145$	$5,200 \\ 0.262$	$5,200 \\ 0.839$	$5,200 \\ 0.839$
decrease \neq increase decrease \neq fee neutral increase \neq fee neutral					Yes*** Yes***	Yes*** Yes**			Yes*	Yes* Yes*		

Table XI Sub-Sample Split by Increased/Decreased Taker Fee & Increased/Decreased Total Fee

The table presents results from regressions where the stocks are split into three groups: the first has stocks with prices below \$6.875; stocks in this price region experience an increase in both their total fee and their taker fee. The second has stocks with prices above \$22; stocks in this region experience a decline in both their taker fee and their total fee. The third group contains stocks with prices above \$6.875 but below \$22; stocks in this region experience an increase in their taker fee but a decrease in their total fee. Dependent variables in the regressions are time-weighted quoted spreads, volume-weighted effective spreads and volume-weighted effective spreads plus the taker fee. All specifications and the regression methodology are the same as in, for instance, Table VI.

Dependent Variable	time-weighted quoted spread			effective spread				effective spread plus $2 \times taker$ fee				
Stock fixed effects	No	No	Yes	Yes	No	No	Yes	Yes	No	No	Yes	Yes
$\operatorname{event}_t \times (\operatorname{price} \ge \$22_i)$	-6.31^{*} (3.73)	-4.26 (3.99)	-6.31 (3.99)	-4.26 (4.20)	-4.01(3.84)	-2.15 (3.93)	-4.01 (3.96)	-2.16 (4.04)	-5.31 (3.84)	-3.64 (3.94)	-5.31 (3.95)	-3.64 (4.04)
$\operatorname{event}_t \times (\$6.875 < \operatorname{price} < \$22_i)$	-16.54^{***} (5.88)	-14.49^{**} (5.98)	-16.54^{***} (6.08)	-14.49** (6.18)	-9.81 ^{**} (4.23)	-7.95^{*} (4.29)	-9.81 ^{**} (4.41)	-7.96^{*} (4.46)	-5.74 (4.22)	-4.07 (4.26)	-5.74 (4.40)	-4.08 (4.44)
$\operatorname{event}_t \times (\operatorname{price} \leq \$6.875_i)$	-18.42^{***} (5.92)	-16.36^{***} (5.83)	-18.42^{***} (6.08)	-16.36^{***} (5.99)	-17.15^{***} (5.36)	-15.28^{***} (5.30)	-17.20^{***} (5.51)	-15.34^{***} (5.45)	8.93 (6.02)	10.60^{*} (5.99)	8.87 (6.15)	10.54^{*} (6.12)
price \leq \$6.875 _i	-12.10 (9.75)	16.16 (27.08)	. ,		-12.51^{*} (7.51)	24.87 (23.47)	. ,		-12.51^{*} (7.51)	5.16 (24.02)	. ,	. ,
\$6.875 <price<\$22< td=""><td>-10.26 (8.88)</td><td>7.13 (16.16)</td><td></td><td></td><td>-10.03 (6.61)</td><td>9.37 (13.88)</td><td></td><td></td><td>-10.03 (6.61)</td><td>0.38 (13.98)</td><td></td><td></td></price<\$22<>	-10.26 (8.88)	7.13 (16.16)			-10.03 (6.61)	9.37 (13.88)			-10.03 (6.61)	0.38 (13.98)		
log price	× ,	7.20 (12.64)			· · /	13.15 (11.20)				4.30 (11.48)		
log market cap		5.31 (8.73)				1.72 (7.19)				3.55 (7.44)		
Herfindahl		51.58 (103.18)				28.04 (88.76)				34.35 (90.15)		
turnover		-0.96 (1.26)				-0.25 (1.05)				-0.29 (1.09)		
$\sigma(ext{return})$		$5.36 \\ (4.51)$				$1.46 \\ (3.82)$				2.19 (3.76)		
VIX		-2.52^{***} (0.82)		-2.52^{***} (0.93)		-2.29^{***} (0.83)		-2.28^{**} (0.91)		-2.05^{**} (0.84)		-2.04^{**} (0.93)
Constant	-7.49 (6.93)	-133.82 (183.15)			-7.54 (4.75)	-72.21 (148.67)			-7.54 (4.75)	-84.02 (152.85)		
Observations Adjusted R-squared	$5,200 \\ 0.032$	$5,200 \\ 0.047$	$5,200 \\ 0.435$	$5,200 \\ 0.438$	$5,199 \\ 0.027$	$5,199 \\ 0.042$	$5,199 \\ 0.319$	$5,199 \\ 0.322$	$5,199 \\ 0.008$	$5,199 \\ 0.014$	$5,199 \\ 0.306$	$5,199 \\ 0.308$

Table XIIList of all cross-listed companies and their non-crosslisted matches, Part I

Treatment group: 65 securities that are cross-listed with AMEX or NASDAQ Control group match: non-crosslisted

ABZ	ABER DIAMOND CORPORATION
AEZ	AETERNA ZENTARIS INC.
ANP	ANGIOTECH PHARMACEUTICALS INC.
ATY	ATI TECHNOLOGIES INCORPORATED
AXP	AXCAN PHARMA INC.
BGO	BEMA GOLD CORPORATION J
BLD	BALLARD POWER SYSTEMS INC.
BRA	BIOMIRA INC.
CBJ	CAMBIOR INC.
CEF.NV.A	CENTRAL FUND OF CANADA LTD. CL 'A' NV
CLG	CUMBERLAND RESOURCES LTD. J
COM	CARDIOME PHARMA CORP.
CRY	CRYPTOLOGIC INC.
CSN	COGNOS INC.
DAX	DRAXIS HEALTH INC.
DII.SV	DOREL INDUSTRIES INC. CL 'B' SV
DSG	DESCARTES SYSTEMS GROUP INC. (THE)
DSM	DESERT SUN MINING CORP. J
ELD	ELDORADO GOLD CORPORATION
EXF.SV	EXFO ELECTRO-OPTICAL ENGINEERING INC. SV
FNX	FNX MINING COMPANY INC.
\mathbf{FRG}	FRONTEER DEVELOPMENT GROUP INC. J
FSV.SV	FIRSTSERVICE CORPORATION SV
GAC	GEAC COMPUTER CORPORATION LTD.
GAM	GAMMON LAKE RESOURCES INC. J
GSC	GOLDEN STAR RESOURCES LTD.
HYG	HYDROGENICS CORPORATION
IDB	ID BIOMEDICAL CORPORATION
IE	IVANHOE ENERGY INC.
IMG	IAMGOLD CORPORATION
IMO	IMPERIAL OIL LTD.

SBY	SOBEYS INC.
ITX	ITERATION ENERGY LTD. J
AGF.NV	AGF MANAGEMENT LTD. CL 'B' NV
ТА	TRANSALTA CORPORATION
IMN	INMET MINING CORPORATION
UTS	UTS ENERGY CORPORATION
IUC	INTERNATIONAL URANIUM CORPORATION J
CEK	CASPIAN ENERGY INC. J
NS	NORSKE SKOG CANADA LIMITED
SWP	SASKATCHEWAN WHEAT POOL INC.
VTI	VETERAN RESOURCES INC. J
KEC	KICK ENERGY CORPORATION J
AAH	AASTRA TECHNOLOGIES LIMITED
CTR.NV	CANADIAN TIRE CORP. LTD. CL 'A' NV
IXL	INNOVA EXPLORATION LTD. J
AGA	ALGOMA STEEL INC.
GWE	GREY WOLF EXPLORATION INC.
ARG	AMERIGO RESOURCES LTD. J
BBD.MV.A	BOMBARDIER INC. CL 'A' MV
QUA	QUADRA MINING LTD.
АТА	ATS AUTOMATION TOOLING SYSTEMS INC.
CSY	CSI WIRELESS INC.
CCL.NV.B	CCL INDUSTRIES INC. CL 'B' NV
HBC	HUDSON'S BAY COMPANY
FAP	ABERDEEN ASIA-PACIFIC INCM INVESTMENT CO LTD.
OIL	OILEXCO INCORPORATED J
SGF	SHORE GOLD INC. J
KFS	KINGSWAY FINANCIAL SERVICES INC.
UEX	UEX CORPORATION J
LIM	LIONORE MINING INTERNATIONAL LTD.
RY	ROYAL BANK OF CANADA

Table XIII List of all cross-listed companies and their non-crosslisted matches, Part II

Treatment group: 65 securities that are cross-listed with AMEX or NASDAQ Control group match: non-crosslisted

IMX IMAX CORPORATION IOL INTEROIL CORPORATION J KRY CRYSTALLEX INTERNATIONAL CORPORATION J MAE MIRAMAR MINING CORPORATION MFL MINEFINDERS CORPORATION LTD. J MR METALLICA RESOURCES INC. J MX METHANEX CORPORATION NG NOVAGOLD RESOURCES INC. J NGX NORTHGATE MINERALS CORPORATION NNO NORTHERN ORION RESOURCES INC. J NRM NEUROCHEM INC. NSU NEVSUN RESOURCES LTD. J ONC ONCOLYTICS BIOTECH INC. OTC OPEN TEXT CORPORATION OZN OREZONE RESOURCES INC. J PAA PAN AMERICAN SILVER CORP. PCR PERU COPPER INC. J PDL NORTH AMERICAN PALLADIUM LTD. QLT QLT INC. RIM RESEARCH IN MOTION LIMITED RNG RIO NARCEA GOLD MINES LTD. SNG CANADIAN SUPERIOR ENERGY INC. J SOY SUNOPTA, INC. SSO SILVER STANDARD RESOURCES INC. SVN 724 SOLUTIONS INC. SW SIERRA WIRELESS, INC. TEO TESCO CORPORATION TGL TRANSGLOBE ENERGY CORPORATION J TLC TLC VISION CORPORATION TNX TAN RANGE EXPLORATION CORPORATION J VAS VASOGEN INC. WED WESTAIM CORPORATION (THE) YRI YAMANA GOLD INC. J

ZIC ZI CORPORATION

GND	GENNUM CORPORATION
CCA.SV	COGECO CABLE INC. SV
ГВС	TEMBEC INC.
VW	IVERNIA INC. J
GNY	GENTRY RESOURCES LTD. J
WPT	WESTPORT INNOVATIONS INC.
MNG	MEBIDIAN GOLD INC
PTI	PATHEON INC.
DY	DYNATEC CORPORATION
ΓRE	SINO-FOREST CORPORATION
SWG	SOUTHWESTERN RESOURCES CORP. J
CDV	COM DEV INTERNATIONAL LTD.
CNH	CINCH ENERGY CORP. J
RUS	RUSSEL METALS INC.
ZL	ZARLINK SEMICONDUCTOR INC.
CRW	CINRAM INTERNATIONAL INC.
ENE	ENDEV ENERGY INC.
IFP.SV.A	INTERNATIONAL FOREST PRODUCTS LTD. CL 'A' SV
BVI	BLACKROCK VENTURES INC.
WN	WESTON LTD. GEORGE
GBU	GABRIEL RESOURCES LTD. J
BGC	BOLIVAR GOLD CORP. J
SGB	STRATOS GLOBAL CORPORATION
RRZ	RIDER RESOURCES LTD.
RVE	ROCKYVIEW ENERGY INC.
FE	FIND ENERGY LTD.
KCO	KERECO ENERGY LTD.
WLE	WESTERN LAKOTA ENERGY SERVICES INC.
CGS.SV	CANWEST GLOBAL COMMUNICATIONS CORP. SV
BYT	BIOSCRYPT INC.
VIA	VIRGINIA GOLD MINES INC. J
WTN	WESTERN CANADIAN COAL CORP. J
AGI	ALAMOS GOLD INC. J
COB.SV.A	COOLBRANDS INTERNATIONAL INC. CL 'A' SV

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