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Decoherence-Free Interaction between Giant Atoms in Waveguide Quantum Electrodynamics

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In quantum-optics experiments with both natural and artificial atoms, the atoms are usually small enough that they can be approximated as pointlike compared to the wavelength of the electromagnetic radiation with which they interact. However, superconducting qubits coupled to a meandering transmission line, or to surface acoustic waves, can realize "giant artificial atoms" that couple to a bosonic field at several points which are wavelengths apart. Here, we study setups with multiple giant atoms coupled at multiple points to a one-dimensional (1D) waveguide. We show that the giant atoms can be protected from decohering through the waveguide, but still have exchange interactions mediated by the waveguide. Unlike in decoherence-free subspaces, here the entire multiatom Hilbert space (2^N) states for N atoms) is protected from decoherence. This is not possible with "small" atoms. We further show how this decoherence-free interaction can be designed in setups with multiple atoms to implement, e.g., a 1D chain of atoms with nearest-neighbor couplings or a collection of atoms with all-to-all connectivity. This may have important applications in quantum simulation and quantum computing.

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Introduction.—In quantum systems, there is generally a fundamental problem of trade-off between interaction and protection from decoherence [\[1\]](#page-5-1). For spatially separated atoms, one way to realize a protected interaction is to use a quantum bus [\[2,3\]](#page-5-2). As has been demonstrated in experiments [4–[6\],](#page-5-3) two atoms that are detuned from a resonator (the quantum bus) to which they both couple can interact via virtual photons in the resonator. Since the photons mediating the interaction are virtual, this interaction is protected from losses in the resonator. Although this scheme can be extended to more atoms, and interactions between more than two atoms [\[7\],](#page-5-4) there are limits to the connectivity between atoms and the protection from decoherence.

Another approach to protecting quantum information is decoherence-free subspaces [\[8,9\],](#page-5-5) i.e., particular subspaces (of the total Hilbert space of a quantum system) which are less sensitive to decoherence due to the form of their coupling to the dissipative environment. A well-known example is dark (subradiant) states [\[10\],](#page-5-6) collective atomic states which do not decay, due to interference, to the environment that the atoms are all coupled to.

One platform where it has been suggested [\[11\]](#page-5-7) that such decoherence-free subspaces could be used for protected quantum computation is waveguide quantum electrodynamics (QED). In waveguide QED, atoms are coupled to, and interact via, a continuum of bosonic modes in a onedimensional (1D) waveguide. As reviewed in Refs. [\[12,13\]](#page-5-8), there are many experimental realizations of waveguide QED, including quantum dots and other emitters coupled to plasmons in nanowires [\[14,15\],](#page-5-9) quantum dots coupled to photonic crystal waveguides [\[16\],](#page-5-10) and natural atoms coupled to optical fibers [\[17\],](#page-5-11) but the platform with best performance is arguably superconducting artificial atoms [\[13,18,19\]](#page-5-12) coupled to transmission lines, where several experiments have been performed in the past few years [\[20](#page-5-13)–32]. There is also a wealth of theoretical work studying two [\[33](#page-6-0)–48] or more [\[11,40,49](#page-5-7)–61] atoms interacting with a 1D waveguide. For a more complete overview, see Refs. [\[12,13\].](#page-5-8)

Since the dark states in waveguide QED are a result of interference effects, it is relevant to explore schemes for increasing such interference. One such scheme is to terminate the waveguide with a mirror. A single atom in front of a mirror, a setup which has seen both experimental [\[29,62](#page-6-1)–64] and theoretical [\[46,48,58,65](#page-6-2)–71] investigation, can be protected from decay by interference between the relaxation from the atom and its mirror image.

An implicit assumption thus far has been that the atoms are small compared to the wavelengths of the bosonic modes of the waveguide they interact with (the wavelengths in question are those which correspond to the relevant atomic transition frequencies). However, interference effects can be further increased if the atoms can be giant, a term we take to mean that the atoms can couple to the waveguide at several points, which can be spaced wavelengths apart. The physics of a single such giant atom has been explored recently [\[72,73\]](#page-7-0) with results including a frequency-dependent relaxation rate and Lamb shift. These works were inspired by recent experiments [\[74](#page-7-1)–79] realizing giant atoms by coupling superconducting artificial atoms to surface acoustic waves (SAWs), which have much shorter wavelengths than the microwaves normally used in experiments with such artificial atoms. However, as outlined in Ref. [\[72\]](#page-7-0) (and utilized in Ref. [\[80\]](#page-7-2)), superconducting transmission lines could be used to achieve the same effect if they are suitably meandered.

In this Letter, we present the first study of multiple giant atoms coupled to a 1D waveguide. We begin by considering the case of two giant atoms, coupled at two points each to an open waveguide, and compare this setup to two small atoms in open and semi-infinite waveguides. We show that, for a certain arrangement of the connection points of the giant atoms, decoherence into the waveguide can be completely suppressed while the giant atoms *still* interact with each other via the waveguide. Unlike the dark states for small atoms, this decoherence-free interaction is independent of the states of the giant atoms; i.e., the *entire* multiatom Hilbert space is protected from decoherence, not just a subspace.

We then generalize these results to an arbitrary number of giant atoms with an arbitrary number of connection points each. In this way, we show that protected pairwise exchange interactions between multiple giant atoms can be designed for high connectivity (beyond nearest neighbor) and with arbitrary sign of the coupling strengths. We outline how these setups can be implemented with superconducting circuits.

We believe that these results can find many applications, e.g., in quantum simulation [\[81,82\]](#page-7-3), where there is much interest in spins connected in one- or two-dimensional arrangements [\[47,83](#page-6-3)–89]. It may also be possible to use setups with giant atoms to generate entangled states such as cluster [\[90\]](#page-7-4) or graph [\[91\]](#page-7-5) states, which can be used for oneway quantum computing [\[92](#page-8-0)–94].

Master equation for two atoms in a waveguide.—We begin by comparing setups with two small (i.e., only coupled at a single point) atoms in an open [Fig. $1(a)$] or semi-infinite [Fig. [1\(b\)\]](#page-2-0) waveguide to setups with two giant atoms coupled to an open waveguide at two connection points each. As shown in Figs. $1(c)$ – $1(e)$, there are three distinct topologies for the positions of the connection points in this case. We call the topology in Fig. [1\(c\)](#page-2-0) separate giant atoms, the one in Fig. [1\(d\)](#page-2-0) braided giant atoms, and the one in Fig. [1\(e\)](#page-2-0) nested giant atoms. For simplicity, we limit the discussion in this Letter to atoms with two levels (qubits).

Tracing out the continuum of bosonic modes in the waveguide, a master equation for the density matrix ρ of the atoms can be derived, assuming weak coupling at each connection point and negligible travel time between connection points. We use the SLH formalism [\[95](#page-8-1)–98] for cascaded quantum systems [99–[101\]](#page-8-2) to show [\[102\]](#page-8-3) that the master equation for all setups in Fig. [1](#page-2-0) can be written as

FIG. 1. Sketches of (a) two small atoms coupled to an open transmission line, (b) two small atoms coupled to a semi-infinite transmission line, (c) two separate giant atoms, (d) two braided giant atoms, and (e) two nested giant atoms. Red circles denote connection points. The atom with the leftmost connection point is denoted *a* and the other *b*.

$$
\dot{\rho} = -i \left[\omega_a' \frac{\sigma_z^a}{2} + \omega_b' \frac{\sigma_z^b}{2} + g(\sigma_-^a \sigma_+^b + \sigma_+^a \sigma_-^b), \rho \right] \n+ \Gamma_a \mathcal{D}[\sigma_-^a] \rho + \Gamma_b \mathcal{D}[\sigma_-^b] \rho \n+ \Gamma_{\text{coll}} \left[\left(\sigma_-^a \rho \sigma_+^b - \frac{1}{2} \{ \sigma_+^a \sigma_-^b, \rho \} \right) + \text{H.c.} \right], \quad (1)
$$

where $\omega'_j = \omega_j + \delta \omega_j$, ω_j is the transition frequency of
atom *i* only including Lamb shifts from individual conatom j only including Lamb shifts from individual connection points, $\delta \omega_i$ is the contribution to the Lamb shift of atom j from interference between connection points, $\mathcal{D}[A]\rho = A\rho A^{\dagger} - \frac{1}{2} \{A^{\dagger}A, \rho\}, \quad g \text{ is the strength of the}$ exchange interaction between the atoms, $\sigma'_{+}(\sigma'_{-})$ is the raising (lowering) operator of atom *j*, σ_z^j is a Pauli matrix
for atom *i*. Γ , is the individual relaxation rate of atom *i*. for atom j, Γ_i is the individual relaxation rate of atom j, Γ_{coll} is the collective relaxation rate for the atoms, and H.c. denotes the Hermitian conjugate.

For the case of small atoms in an open waveguide, the coefficients in Eq. [\(1\)](#page-2-1) are already well known [\[33,40,57\].](#page-6-0) In Table [I,](#page-3-0) we compare these coefficients with those that result for the other setups in Fig. [1.](#page-2-0) For simplicity, we assume here that the distance between subsequent connection points is identical, and that $\omega_a \approx \omega_b$, such that the phase acquired traveling from one connection point to the next is $\varphi = k|x_{i+1} - x_i|$, where the wave number $k = \omega_a/v$, with v the velocity of the modes in the waveguide (for the setup with a mirror, $\varphi = 2kx_1$). We also assume that the bare relaxation rate (the relaxation rate before any interference effects are taken into account) at each connection point is γ . Expressions for arbitrary bare relaxation rates and arbitrary phase shifts between connection points are given in Ref. [\[102\].](#page-8-3)

Setup	Frequency shift $\delta\omega_i$	Exchange interaction g	Individual decay Γ_i	Collective decay Γ_{coll}
Small atoms	θ	$(\gamma/2)$ sin φ		γ COS φ
Small atoms $+$ mirror	$(\gamma/2)$ sin φ ; $(\gamma/2)$ sin 3 φ	$(\gamma/2)(\sin \varphi + \sin 2\varphi)$	$\gamma(1+\cos\varphi); \gamma(1+\cos3\varphi)$	$\gamma(\cos\varphi + \cos 2\varphi)$
Separate giant atoms	γ sin φ	$(\gamma/2)(\sin\varphi + 2\sin 2\varphi + \sin 3\varphi)$	$2\gamma(1+\cos\varphi)$	$\gamma(\cos\varphi + 2\cos 2\varphi + \cos 3\varphi)$
Braided giant atoms	γ sin 2φ	$(\gamma/2)(3 \sin \varphi + \sin 3\varphi)$	$2\gamma(1+\cos 2\varphi)$	$\gamma(3\cos\varphi + \cos 3\varphi)$
Nested giant atoms	γ sin 3 φ ; γ sin φ	$\gamma(\sin\varphi + \sin 2\varphi)$	$2\gamma(1+\cos 3\varphi); 2\gamma(1+\cos \varphi)$	$2\gamma(\cos\varphi + \cos 2\varphi)$

TABLE I. Frequency shifts, exchange interaction strengths, and decoherence rates for the setups from Fig. [1](#page-2-0). In fields with two entries, the first corresponds to atom a and the second to atom b .

We plot the relaxation rates and coupling strengths from Table [I](#page-3-0) as functions of φ in Fig. [2.](#page-3-1) For small atoms in an open waveguide, we note that the individual relaxation rates $\Gamma_i \neq 0 \,\forall \varphi$. For this setup, there is only a certain superposition state, the dark state, that is protected from decoherence [\[40\].](#page-6-4) For all other setups, there are values of φ where $\Gamma_i = 0$. Furthermore, at the points where $\Gamma_i = 0$, $\Gamma_{\text{coll}} = 0$ also holds. Thus, these setups can protect all system states from decoherence. In contrast, for small atoms only a single superposition state can be protected from decoherence by making the Γ_i and Γ_{coll} terms cancel for the lowering operator of that state [\[40\].](#page-6-4)

The implications of $\Gamma_i = 0$ for g differ for the setups where it can occur. Only in the case of braided giant atoms is it possible to have $g \neq 0$ when $\Gamma_i = 0 \forall j$, i.e., a

FIG. 2. Exchange interaction (solid lines) and decoherence rates (individual: dashed lines; collective: dotted lines) as a function of φ for the setups in Fig. [1](#page-2-0). The corresponding expressions are given in Table [I](#page-3-0). The labels *ab* (small atoms, black), *aabb* (separate giant atoms, blue), abab (braided giant atoms, green), and abba (nested giant atoms, red) correspond to the ordering of connection points for the two atoms. The case of small atoms in a semi-infinite waveguide [Fig. [1\(b\)](#page-2-0)] is not plotted separately, since it is qualitatively equivalent to the case of nested giant atoms. Note that there are two red dashed lines, one for Γ_a and one for Γ_b .

decoherence-free interaction. This can be understood as follows: $\Gamma_i = 0$ implies that the phase acquired traveling between the connection points of atom j is $(2n + 1)\pi$ for some integer *n*. The collective decay is set by interference between emission from connection points belonging to different atoms, but the sum of these contributions will be zero when the emission from two connection points of one atom interfere destructively. The exchange interaction is set by emission from connection points of one atom being absorbed at connection points of the other atom. For separate and nested giant atoms, the emission from the two connection points belonging to atom b will cancel if $\Gamma_b = 0$, but in the case of *braided* giant atoms, the two inner connection points are placed in between the two connection points of the other atom, so the contributions from the two connection points of the other atom need *not* interfere destructively. In Ref. [\[102\],](#page-8-3) we show that all these conclusions about implications of $\Gamma_i = 0$ for the various setups remain unchanged even if we allow for arbitrary bare relaxation rates at each connection point and arbitrary distances (but still negligible travel time) between connection points.

Generalization to multiple giant atoms with multiple connection points.—We now consider the most general setup possible, with N atoms such that atom j has M_i connection points and the bare relaxation rate at connection point j_n of atom j is γ_{i_n} . The phase acquired traveling from connection point j_n of atom j to connection point k_m of atom k is φ_{j_n,k_m} . With the same assumptions as before, we extend our derivation in the SLH formalism to obtain the master equation [\[102\]](#page-8-3)

$$
\dot{\rho} = -i \left[\sum_{j=1}^{N} \omega_{j}^{\prime} \frac{\sigma_{z}^{(j)}}{2} + \sum_{j=1}^{N-1} \sum_{k=j+1}^{N} g_{j,k} (\sigma_{-}^{(j)} \sigma_{+}^{(k)} + \sigma_{+}^{(j)} \sigma_{-}^{(k)}), \rho \right] + \sum_{j=1}^{N} \Gamma_{j} \mathcal{D} [\sigma_{-}^{(j)}] \rho + \sum_{j=1}^{N-1} \sum_{k=j+1}^{N} \Gamma_{\text{coll},j,k} \left[\left(\sigma_{-}^{(j)} \rho \sigma_{+}^{(k)} - \frac{1}{2} \{ \sigma_{+}^{(j)} \sigma_{-}^{(k)}, \rho \} \right) + \text{H.c.} \right],
$$
\n(2)

where now $\delta \omega_j = \sum_{n=1}^{M_j-1} \sum_{m=n+1}^{M_j} \sqrt{\gamma_{j_n} \gamma_{j_m}} \sin \varphi_{j_n, j_m}$, the exchange interaction between atoms j and k is $g_{j,k} = \sum_{n=1}^{M_j} \sum_{m=1}^{M_k} (\sqrt{\gamma_{j_n} \gamma_{k_m}}/2) \sin \varphi_{j_n, k_m}, \quad \Gamma_j = \sum_{n=1}^{M_j} \times$ $\sum_{m=1}^{m_j} \sqrt{\gamma_{j_n} \gamma_{j_m}} \cos \varphi_{j_n, j_m}$, and the collective decay rate for atoms j and k is $\Gamma_{\text{coll},j,k} = \sum_{n=1}^{M_j} \sum_{m=1}^{M_k} \sqrt{\gamma_{j_n} \gamma_{k_m}} \times$ $\cos \varphi_{j_n,k_m}$.

Since all interactions in Eq. [\(2\)](#page-3-2) are pairwise, the intuition gained from studying the case of two giant atoms with two connection points goes a long way in explaining the properties of these more general setups. If all connection points of atom j are to the left (or right) of all connection points of atom k, we call this pair of atoms separate. If all connection points of atom i are situated in between two subsequent connection points of atom k , we call this pair of atoms nested. All other setups are braided. Using the same reasoning as above, we can show that $\Gamma_j = \Gamma_k = 0$ implies both $\Gamma_{\text{coll},j,k} = 0$ and $g_{j,k} = 0$ for separate and nested atoms, but $g_{j,k} \neq 0$ is possible if the atoms are braided [\[102\]](#page-8-3).

1D spin chain with protected, designed nearest-neighbor couplings.—We now discuss two setups with protected pairwise atom-atom interactions that can be realized with multiple giant atoms. The first setup is a 1D chain of atoms with nearest-neighbor couplings, shown in Fig. [3](#page-4-0). With the arrangement of connection points given in Fig. [3\(a\),](#page-4-0) each pair of neighboring atoms is in a braided configuration, which allows decoherence-free interaction within each such pair, effectively leading to the 1D chain of atoms shown in Fig. [3\(b\)](#page-4-0). All other pairs of atoms are not braided, and will thus *not* interact when $\Gamma_i = 0 \forall j$. In Fig. [3\(c\)](#page-4-0), we show how this setup could be implemented with superconducting qubits coupled to a meandering transmission line. Note that there is space for individual readout and control lines to be connected to each qubit in this setup. The decay that such additional channels would introduce can easily be kept

FIG. 3. Sketch of a setup with giant atoms realizing a 1D chain of qubits with protected nearest-neighbor couplings. (a) The layout of the connection points. (b) The effective system. (c) A possible implementation with superconducting circuits. The black line is a transmission line, the blue blocks are qubits, and the red lines mark where the qubits couple to the transmission line.

small. Furthermore, such control lines could both perform single-qubit rotations and tune the transition frequencies of the qubits. Tuning the qubits in and out of resonance with each other is one way to turn the qubit-qubit coupling on and off to implement two-qubit gates [\[13\]](#page-5-12). With more connection points, we can arrange for the detuned transition frequencies to also be protected from decay [\[72\]](#page-7-0).

If the 1D chain in Fig. [3](#page-4-0) contains N giant atoms with two connection points each, there will be $2N - 1$ phases between subsequent connection points. Implementing the constraint $\Gamma_i = 0 \forall j$ will fix N of these phases. There are then $N - 1$ pairwise couplings, set by one phase each: $g_{j,j+1} = \sqrt{\gamma_{(j+1)}\gamma_{j2}} \sin \varphi_{(j+1)_{1},j_{2}}$ [\[102\].](#page-8-3) We thus have maxi-
yiel freedom in decision the decemberation free interactions mal freedom in designing the decoherence-free interactions (both amplitude and sign) in this setup.

High connectivity for multiple giant atoms.—Our second example is a setup with three atoms with a protected all-toall connectivity, shown in Fig. [4](#page-4-1). With the arrangement of connection points given in Fig. [4\(a\)](#page-4-1), each pair of neighboring atoms is in a braided configuration, which allows decoherence-free interaction within each such pair, effectively leading to the triangular arrangement of coupled atoms shown in Fig. $3(b)$. In Fig. $3(c)$, we show how this setup could be implemented with superconducting circuits. Unlike the previous example, this setup requires the transmission line to cross itself at least once, but this can be solved with air bridges [\[103\].](#page-8-4) Note that it is straightforward to extend this setup to all-to-all connectivity with more atoms by simply adding more superconducting qubits to the row in Fig. $3(c)$. However, when making N large in the setups in Figs. [3](#page-4-0) and [4,](#page-4-1) care must still be taken that the travel time between connection points remains negligible. This is more important for the setup in Fig. [4](#page-4-1) because of the greater connectivity.

For the setup in Fig. [4](#page-4-1), and its generalization to N atoms, the condition $\Gamma_i = 0 \forall j$ sets N constraints, which leaves $N-1$ free parameters (phases) to determine the amplitudes of $N(N-1)/2$ pairwise couplings. The individual coupling strengths can thus be chosen quite freely, but not

FIG. 4. Sketch of a setup with three giant atoms realizing protected all-to-all coupling. (a) The layout of the connection points. (b) The effective system. (c) A possible implementation with superconducting circuits. The symbols used are the same as in Fig. [3.](#page-4-0)

completely freely. In the case $N = 3$, we show in Ref. [\[102\]](#page-8-3) how all couplings can be set to have the same amplitude while their signs can be chosen freely.

Summary and outlook.—We have derived a master equation for multiple giant atoms coupled to a 1D waveguide at multiple points, which can be spaced wavelengths apart. We have shown that such giant atoms, with connection points in a braided configuration, can realize a phenomenon that is impossible with small atoms: a nonzero exchange interaction mediated by the waveguide between pairs of atoms that are protected from decoherence into the waveguide, regardless of the atomic state. We have furthermore shown that setups with giant atoms are ready to be implemented in superconducting circuits, and that this could be used for quantum simulation of coupled spins.

This work opens up many interesting directions for future research. Phenomena that have been studied for waveguide QED with small atoms, e.g., sub- and superradiance (dark and bright states), chiral propagation [\[104,105\],](#page-8-5) interaction between atoms with more than two levels, and 2D baths [106–[108\],](#page-8-6) should be revisited to determine whether giant atoms lead to new effects.

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