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Tunnel magnetoresistance in magnetic tunnel junctions with embedded nanoparticles

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Abstract

© 2015 IEEE. We present a theoretical simulation to calculate the tunnel magnetoresistance (TMR) in magnetic tunnel junction with embedded nano-particles (npMTJ). The simulation is done in the range of coherent electron tunneling model through the insulating layer with embedded magnetic and non-magnetic nano-particles (NPs). We consider two conduction channels in parallel within one MTJ cell, in which one is through double barriers with NP (path I in Fig. 1) and another is through a single barrier (path II). The model allows us to reproduce the TMR dependencies at low temperatures of the experimental results for npMTJs [2-4] having in-plane magnetic anisotropy. In our model we can reproduce the anomalous bias-dependence of TMR and enhanced TMR with magnetic and non-magnetic NPs. We found that the electron transport through NPs is similar to coherent one for double barrier magnetic tunnel junction (DMTJ) [1]; therefore, we take into account all transmitting electron trajectories and the spin-dependent momentum conservation law in a similar way as for DMTJs. The formula of the conductance for parallel (P) and anti-parallel (AP) magnetic configurations is presented as following: $G_s^{P(AP)} = G_0 \sigma k_F s^2 / 4\pi \int \cos(\theta_s) D_s^{P(AP)} \sin(\theta) d\theta ds$, where $\cos(\theta_s)$ is cosine of incidence angle of the electron trajectory θ_s , with spin index $s=(\uparrow, \downarrow)$, k_F , s , is the Fermi wave-vector of the top (bottom) ferromagnetic layers; for simplicity the top and bottom ferromagnetic layers are taken as symmetric; $G_0=2e^2/h$ and σ is area of the tunneling cell. The transmission probability $D_s^{P(AP)}$ depends on diameter of NP (d), effective mass m and wave-vector of the electron k_{NP} attributing to the quantum state on NP (corresponding to the k -vector of the middle layer in DMTJs [1], and which is affected by applied bias V). Furthermore $D_s^{P(AP)}$ depends on $\cos(\theta_s)$, k_F , s , barriers heights $U_{1,2}$ and widths $L_{1,2}$, respectively. The exact quantum mechanical solution for symmetric DMTJ was found in Ref.[1]. Here we employ parallel circuit connection of the tunneling unit cells, where each cell contains one NP with the average d less than 3 nm per unit cell's area ($\sigma = 20 \text{ nm}^2$), while tunnel junction itself has surface area S and consists of N cells ($N=S/\sigma$). The total conductance of the junction is $G = N \times (G_{1\uparrow} + G_{2\uparrow} + G_{1\downarrow} + G_{2\downarrow})$, where G_1 , s is dominant conductance with the NP (path I), G_2 , s is conductance of the direct tunneling through the single barrier (path II), and $\text{TMR}=(G^P-G^{AP})/G^{AP} \times 100\%$.

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