# The Effect of Multigrade Classes on Cognitive and nonCognitive Skills. Causal Evidence Exploiting Minimum Class Size Rules in Italy* 

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#### Abstract

We analyse how schooling in multigrade classes affects the formation of student cognitive and non-cognitive skills. Our identification strategy is based on some institutional features of the Italian educational system establishing a minimum number of students per class. Classes that do not reach the minimum number of pupils are organized in multigrade classes. In addition, the Italian law also establishes a maximum number of students for multigrade classes, which implies that class size in multigrade classes is very similar to class size in small single grade classes with a number of students just above the minimum size. Using census data on $5^{\text {th }}$ grade Italian students, we find that pupils in multigrade classrooms obtain worse test scores both in literacy and numeracy standardized tests compared to comparable pupils in single grade classroom. While the effect is small and not always statistically significant for the literacy score, we find a large and highly statistically significant effect on the numeracy score. We also find that pupils placed in multigrade classes tend to have a more external centred locus of control. Our results are robust to different specifications including controls for class size and a number of student and school characteristics.


JEL classification: I21, I28, C36
Keywords: multigrade classes, mixed-age classes, cognitive skills, non-cognitive skills,

[^0]
## 1. Introduction

Multigrade classes, where students from two (or more) adjacent grades are grouped within one classroom, are common in many developing and developed countries. According to UNESCO (2005 Agenda for Educational Planning) approximately one third of all classes across the world are multigrade classes. In 2007, about $28 \%$ of schools in the United States were adopting this type of educational practice when the number of pupils was too small. The incidence of multigrade classes is also high in many European countries, especially in less populated areas. For instance, in France about 37 per cent of primary school pupils are in such classes. In Finland and in the Netherlands multigrade classes prevail over single grade ones (Mulkeen and Higgings, 2009).

The use of multigrade classes often responds to the need of providing school services at the student's place of residence at a reasonable cost. In fact, in many developed countries the presence of this type of school organization is typical of rural or mountainous areas that in recent years, especially in some countries, have experimented a drastic reduction in resident population: in these circumstances multigrade classes allow schools to remain located closer to the families they serve since there are not enough children to fill a conventional single grade class.

However, cost-saving considerations are to be evaluated against the effects that multigrade classes may produce on student outcomes. From a theoretical point of view, the effects produced by grade-mixing on student achievement can be either positive or negative. For instance, on the one hand, such a diverse environment in terms of age, skills and maturity can foster cognitive skills; on the other, the fact that teachers are forced to jump from one program to another and to interact with pupils with different needs or skills might reduce the effectiveness of teachers.

The empirical literature trying to figure out which of the effects produced by multigrade classes is more relevant and to understand if students of a mixed-grade classroom are actually penalized or advantaged is scarce. This is mainly due to non-random selection into multigrade classes. For instance, schools might be more likely to adopt multigrade classes if they expect to obtain better results or if the teaching staff is more sympathetic with this type of educational practice. Teachers might try to avoid multigrade classes because of the higher effort required by teaching different programs and selection might not be random. In addition, the assignment of students to multigrade classes might depend on their unobservable characteristics. The few studies that have tried to solve these problems with appropriate techniques led to mixed results. ${ }^{1}$ Sims (2008) uses an instrumental variable strategy based on class size caps imposed by the California Class Size Reduction Program and shows that multigrade classes negatively affect test scores in Grades 2 and 3. Negative effects both on final grade attainment and labour market participation are also found by Gerhardts et al. (2016) who exploit a natural experiment deriving from the abolition of parochial schools in Germany.

[^1]Instead, Thomas (2012), adopting a school fixed effects method, finds that first graders are not harmed by being in a multigrade classes. Finally, Leuven and Ronning (2014), exploiting discontinuous grade mixing rules in Norwegian junior high schools, show that the presence of younger peers decreases achievement, while the reverse occurs in case of older peers. Even more scant is the evidence on the effects of multigrade classes on non-cognitive skills. The only paper looking at non-cognitive skills is Sattari (2016) who shows that placing students in multigrade classrooms induces more behavioural problems.

Our analysis contributes to this literature by providing additional evidence of the effects of multigrade classes both on cognitive and non-cognitive skills. At this aim we use a very rich dataset covering the entire populations of students attending the $5^{\text {th }}$ grade in Italian public schools and providing information on students' performance in standardized test scores, grades assigned by teachers and on a measure of locus of control. Our identification strategy takes advantage of some institutional features of the Italian school legislation. According to existing rules (DM 331/98) primary school classes must consist of no less than 10 children ${ }^{2}$ and must not exceed a maximum of 25 pupils per class. Classes that do not respect the minimum number of pupils are organized in multigrade classes. However, according to the Italian law, the possibility to form a multigrade class depends not only the number of students enrolled in a given grade, but is also related to the number of students enrolled in adjacent grades. In fact, the law establishes that multigrade classes are subject to a maximum number of 12 students per class (with a minimum of 6). This further constraint implies that class size in multigrade classes is very similar to class size in small single grade classes with a number of students just above the cut-off point of 10 . Exploiting these rules we build a binary multigrade predictor taking the value of 1 when two conditions are met: 1) the number of students enrolled in the grade is smaller than $10 ; 2$ ) the total number of students enrolled in adjacent grades is smaller than $13 .{ }^{3}$ Even if these rules are not strictly respected (since school principal had some margin for flexibility) they represent a source of exogenous variation that we exploit to identify the effect of multigrade classes.

To minimize problems related to endogeneity in class size, we only focus on small schools that have no more than a classroom per grade. In these schools class size can be considered exogenous and mainly determined by variation in cohort size. Since there is only one classroom per grade there is little room for parents' and school administrators' choices and variation in class size can be considered as mainly related to natural randomness in population (Hoxby, 2000). Moreover, to compare classes of similar size we restrict our analysis to classes with no more than 13 students and no less than 5 students. This restriction, as we show in the Appendix of the paper, does not affect our results that remain substantially unchanged also when considering the whole sample, but reassures us that the estimated effect is not driven by differences in class size.

[^2]We find a negative effect on students' performance both on literacy and numeracy standardized test scores. While the effect is not always statistically significant for the literacy score, a large and highly statistically significant effect is found on the numeracy score. Students placed in multigrade classes obtain a numeracy score of about half a standard deviation lower than students in single grade classes. This effect holds true when we control for class size and for a number of students and school characteristics. It is worthwhile to notice that as the multigrade classes in our setting (see Section 2) are smaller in size than single grade classes, we would expect any possible negative effect produced by grade mixing to be counterbalanced by the positive effects deriving from working with a reduced number of students.

On the contrary, we find a negative but not always statistically significant effect when we look at grades assigned by teachers. This might depend on the fact that teachers' evaluations, in spite of standardized test scores, are the results of a more complex assessment process, which reflects the objective level of skills achieved by students, but also a number of other factors such as the perceived student effort, motivation, behaviour as well as parents' expectations (OECD, 2012; 2013). Then, teachers of multigrade classes, aware of the more complex environment faced by their students, possibly reward more generously their effort. This is found to be especially true for teachers working in the Southern part of the country, while for schools located in the North multigrade classes reduce students' skills also when measured using teachers' assessment.

Thanks to a complementary questionnaire proposed to students taking the INVALSI test, we are also able to analyse the effect of multigrade classes on locus of control, a psychological trait that has received considerable attention both in the psychological and economic literature. ${ }^{4}$ Locus of control captures ' $a$ generalised attitude, belief or expectancy regarding the nature of the causal relationship between one's own behaviour and its consequences' (Rotter, 1966). Individuals who believe that life's outcomes are due to their own efforts have an internal locus of control, while those believing that outcomes are due to external factors (e.g. luck) have an external locus of control (Gatz and Karel, 1993). Locus of control has been shown to explain a wide range of social and economic outcomes, such as educational attainment, earnings, unemployment and job search behaviour, life satisfaction and health investments (see for instance, Caliendro et al., 2015; Cebi, 2007; Chiteji, 2010; Coleman and Deleire, 2003; Groves, 2005). In addition, individuals with an internal locus of control are more able to cope with unanticipated life events such as health shocks and unemployment (Schurer, 2011; Caliendo et al., 2015). In line with an emerging literature that describes non-cognitive skills as resulting from educational attainment, parental investments and policy interventions (Almlund et al., 2011), we consider the impact of educational inputs on individual locus of control. We find that students placed in multigrade classes are more likely to have an external locus of control. However, the

[^3]effect is not robust and loses significance when, instead of focusing on small classes, we consider the whole sample of students.

Since our results pertain to students attending the $5^{\text {th }}$ grade who are likely to have been in a multigrade class also in previous years of their educational process (unfortunately we do not have information on this), it is likely that the negative effect we find represents the cumulative effect of having attended a substantial fraction of primary school in a multigrade environment. This effect might hide differentiated effects according to peers' age. In fact, even if in our setting students attending the $5^{\text {th }}$ grade in a multigrade classroom interact with younger mates, in previous years they are likely to have interacted also with older peers. As multigrade classes are typically formed combining adjacent grades, the peer group changes over the school cycle. More precisely, in Italy, it is quite common to have the first three grades ( $1^{\text {st }}, 2^{\text {nd }}$ and $3^{\text {rd }}$ ) grouped in a classroom and the last two ( $4^{\text {th }}$ and $5^{\text {th }}$ grade) in another classroom; then, a student who starts primary school in a multigrade class during her/his first year interacts with older peers but in the following years she/he finds himself in a class with younger peers. This implies that the effect we find is the sum of the effect of sharing the classroom with higher grade mates and the effect of sharing the classroom with lower grade ones.

The rest of the paper is organized as follows. Section 2 provides a description of the institutional setting of Italian schools and explains the rules followed to decide whether teaching activity will take place in a multigrade or in a single grade class. Section 3 presents our estimation strategy and discusses possible threats to the validity of our research design providing a number of checks on our first stage. Estimates of the effects of multigrade classes on cognitive skills are reported in Section 4, while in Section 5 we analyse the effects on locus of control. Section 6 presents some robustness checks. Section 7 concludes.

## 2. Institutional background and Data

In 2015 about 51 thousand children ( $1.5 \%$ of the whole population of students enrolled in primary school) attended primary school in a multigrade classroom in Italy. The majority of these students lives in small municipalities that are at a considerable distance from main towns and offer only limited access to essential services such as education, mobility, health, etc. In recent years, these municipalities have suffered a strong population decline and demographic ageing which has led to smaller and smaller schools, with a low number of students per class (in 2016, in $13 \%$ of Italian municipalities the average number of pupils per class in primary school was less than 10). In these areas multigrade classes can be a cost-effective tool to retain locally provided education and to avoid to pupils and their families the cost associated to attending schools located in a different municipality.

Teachers in Italian primary schools are required to have obtained a university degree in Education and they have to teach an identical nation-wide curriculum, defined for each grade (they are supposed to follow the $5^{\text {th }}$ grade curriculum with $5^{\text {th }}$ graders, the $4^{\text {th }}$ grade curriculum with the $4^{\text {th }}$ graders, etc.). This implies that students are taught the same curriculum by teachers with similar qualification, irrespective of
whether they attend a single grade class or a multigrade one. Nonetheless, teachers might adjust their teaching techniques to the different environment and this could have an impact on the students' learning. Rules about the number of teachers in each class have changed over time; until 1990 there was a single teacher for each class, in the period going from 1990 to 2008 there were two teachers per class, while in the school year 2008-2009 a new reform (riforma Gelmini) has reintroduced the possibility to have a single teacher for each class (maestro unico). The cohort of students we consider in this study (enrolled at the first grade in 2007-2008) experienced two different teachers specialized in the main subjects. Teaching organization is the same for multigrade and single grade classes.

The allocation of students to multigrade classes is decided following a mix of rules and discretion. In the Italian educational system, until 2008/09 school year, primary school classes were subject to a minimum size of 10 and a maximum of 25 (Decreto Ministeriale 331/98). In 2009-10 the minimum and the maximum were increased to 15 and 27 respectively (Decreto del Presidente della Repubblica 81/2009), with the exception of schools in mountain areas and small islands where the minimum number of pupils was retained at 10 . If the number of students in a specific grade was lower than that threshold, school heads were required to form mixed-grade classes (pluriclassi), grouping students of adjacent grades. The Italian law also established that multigrade classes cannot be composed by more than 12 students (changed to 18 students in 2009). The 2009 reform was rolled out one grade per year starting with grade 1 and students considered in our data were subject to the old rule. On these basis, we build a dummy variable Predicted Multigrade taking the value of one when the number of students enrolled in $5^{\text {th }}$ grade is smaller than 10 and if the total number of students enrolled in grades 4 and 5 is smaller than 13 . Since both the cap on the minimum number of students per class and the cap on the maximum number of students in multigrade classes could be applied with a discretionary margin of $10 \%$ above/below the numbers set by law, Predicted Multigrade does not perfectly predict student placement in a multigrade class.

The situation is depicted in Figure 1, while considering students in two adjacent grades, say $4^{\text {th }}$ and $5^{\text {th }}$ grade (in Italy primary school is organized in five different grades). If the number of students in each age cohort exceeds 10 , a standard single class is formed. When both cohorts fall below 10 , there is room for forming a multigrade class among them, conditional on their sum being greater than 6 (otherwise they are to be mixed with students from previous grades - the small triangle at the origin). But their sum must not also exceed 12, because in such a case the multigrade class would be too large to be taught in an effective way. A case where there are 7 (or 8 or 9 ) students in each age cohort is ambiguous and we ignore which is the solution adopted by the school principal. For this reason, our measure of Predicted multigrade does not perfectly identify the type of teaching received by a specific student.

To investigate the effect of multigrade classes on student outcomes we rely on data from the Italian National Assessment Program, INVALSI, a government agency that carries out a yearly testing of student attainment in literacy and numeracy. The evaluation covers the entire population of students attending $2^{\text {nd }}$ and $5^{\text {th }}$ grade (primary school), as well as $8^{\text {th }}$ and $10^{\text {th }}$ graders (lower and upper secondary schools
respectively). The dataset provides information not only on standardized test score results but also on the marks assigned by math and language teachers.


Figure 1. Multigrade class formation

In our work we focus on primary schools because the adoption of multigrade classes is more diffuse at this level of education (quite often small municipalities do not have secondary schools). We restrict our analysis to students in the $5^{\text {th }}$ grade since their potential outcomes include standardized test scores and a number of non-cognitive skills. ${ }^{5}$ Data are from the 2011-12 wave for which we also have information on the actual number of multigrade classes within a school, thanks to additional administrative data (Rilevazione integrativa, Ministero dell'Istruzione, dell'Università e della Ricerca, MIUR).

In addition, to reduce the risk of self-selection of students and teachers in different classes and to better identify students effectively attending a multigrade class we restrict to schools that have no more than a classroom for the $5^{\text {th }}$ grade. To compare students attending classes of similar size, we also exclude from our analysis classes with more than 13 students and with less than 5 students (respectively the maximum and the minimum number of students allowed in multigrade classes, applying the discretionary margin of $10 \%$ ). Finally, we restrict our sample to students that undertook both the literacy and numeracy test. ${ }^{6}$ Our final sample consists of 14,290 observations in 1,447 schools. This amounts to about $15 \%$ of pupils attending the $5^{\text {th }}$ grade in Italian primary schools in 2011-12.

Using the information on the actual number of multigrade classes in the school, provided by administrative sources, we try to infer whether students in our dataset were effectively placed in a multigrade

[^4]class. Since we do not have detailed information at class level we rely on two different definitions. The first one considers as students attending a multigrade class only those who are enrolled in a school in which there are two multigrade classes. Following this rule we build a dummy variable Actual Multigradel. As we are focusing on small schools and on small classes, it is very likely that this definition catches students who are effectively attending a multigrade class. According to this measure about $24 \%$ of students in our sample are placed in a multigrade class. On the contrary, if we look at the whole sample of students (Table A. 1 in the Appendix) we find that about $1 \%$ of students are placed in a multigrade class. This percentage seems consistent with the total number of students attending a multigrade class in Italian primary schools. However, we are misplacing those students attending a multigrade class in a school in which the total number of students enrolled is so low that teaching activity is organized in a single multigrade class (covering from grade 1 to grade 5). These students end up included in the control group.

The second definition, Actual Multigrade2, is wider and considers as students attending a multigrade class those who attend a school in which there is at least one multigrade class. ${ }^{7}$ Under this second definition, the percentage of students placed in multigrade classes increases to $39 \%$, while if we consider the whole sample we find that about $2 \%$ of student are placed in a multigrade class. This definition allows the inclusion of all students attending a multigrade class in the "treated group", but it is likely that also some students actually not attending a multigrade class end up considered as "treated".

As regards the outcome variables, the public use files provide two alternative measures of student performance at standardized tests: a) the fractions of correct answers in literacy and numeracy multiple choice tests (Literacy Score and Numeracy Score); b) scores computed by INVALSI applying the IRT Rasch model to students' answers in the tests, in order to account for different difficulties of single items (Rasch Literacy Score and Rasch Numeracy Score $)^{8}$. Since the data come from a national test which is common to all schools, the performance of students attending the same grade are by construction comparable across schools in different geographical areas of the country. In order to avoid problems deriving from score manipulation, both these measures are expressed as "cheating-corrected" test scores. ${ }^{9}$ However, our main results remain almost identical when using the original scores not corrected for cheating. ${ }^{10}$

[^5]We have also information on the marks assigned by teachers in the two main subjects in the primary school program: Italian Language and Mathematics. Data collected by INVALSI allow the distinction between "written marks" and "oral marks". We have considered oral marks (Teacher Marks Numeracy, Teacher Marks Literacy), but results do not change qualitatively if we consider the written marks or the average value of written and oral marks. ${ }^{11}$ Teachers' marks and INVALSI test scores are positively correlated (the correlation between Rasch Literacy Score and Italian Language oral mark is 0.51 , while the correlation between Rasch Numeracy Score and Maths oral mark is 0.38) but there are some relevant differences. The INVALSI tests are identical across schools while marks given by teachers are based on a standard autonomously set by each teacher. Then, while INVALSI scores are comparable across schools, this is not the case for teachers' marks. In addition, while INVALSI tests assess student performance on an absolute grading scale, teachers might adopt relative marking which might also be affected by class composition.

Apart from measures of cognitive skills, the INVALSI dataset also allows to build some measures of non-cognitive skills. Using the survey submitted to students (Student Questionnaire) the same day of one of the two tests, we consider eight questions allowing us the construction of a locus of control measure, i.e. the extent to which a person believes herlhis actions affect herlhis outcomes. Five of these questions refer to successful situations ${ }^{12}$ and three of them to unsuccessful ones ${ }^{13}$. The student is asked to attribute each situation to: 1) help or lack of help from others; 2) lucky or unlucky circumstances; 3) easiness or difficulty of the task; 4) own ability; 5) own effort. The choice of the first three options denotes an external locus of control (outcomes depend on luck or external factors), while the choice of the last two options is considered as an indicator of an internal locus of control (outcomes depend on own ability and effort). Then for each of these questions we build a dummy variable taking the value of 1 when the student picks one of the first three possible answers and zero otherwise. Using students' answers to these questions we build three different measures of locus of control. The first, External Locus of Control, is based on the whole set of questions and takes values from 0 (when the student answering to the 8 questions never chooses one of the first three options) to 8 (when the student chooses one of the first three options for each of the 8 questions). The second External Locus of Control Positive is based only on questions proposing successful situation and takes values from 0 to 5. The third External Locus of Control Negative is instead based exclusively on questions proposing unsuccessful situations and takes values from 0 to 3 .

[^6]The dataset at hand also provides information on a number of pupils' and parents' characteristics (gender, citizenship, attendance of pre-primary school, parent working status and education). Information on the family background of the student are used by INVALSI to build an indicator of socioeconomic status (called ESCS-Economic and Social Cultural Status) ${ }^{14}$, out of which principal component analysis is applied, obtaining a variable with zero mean and unitary standard deviation. We also have information on whether the student is younger or older than a regular students (we build a dummy variable for students who went to school one year before the suggested age, Early Enrolled, and dummy variable for students who entered the school one year after or repeated one or more years, Late Enrolled).

We also have information on the number of students enrolled in each grade at the beginning of the school year. For single grade classes the number of enrolled students in the grade corresponds to class size, instead for multigrade classes class size is constructed considering the number of enrolled students in the different grades composing the class. ${ }^{15}$

As regard school organization we know whether the class follows a full-day or half-day schedule and on the basis of this information we build a dummy variable Full day for those classes whose schedule is organized in entire days ( $8 \mathrm{am}-4 \mathrm{pm}$ usually) instead that only in the morning.

Finally, we have information on the region in which the school is located and on a number of different school catchment area characteristics (population size, extension and altitude).

In Panel (a) of Table 1 we report descriptive statistics for the whole sample used in our analysis. ${ }^{16}$ Predicted Multigrade takes an average value 0.325 , implying that according to rules defined by the Italian law about $32 \%$ of students in our sample should be placed in a multigrade class. The actual number of students in our sample effectively attending a multigrade class is however smaller and equal to $24 \%$ (Actual Multigradel).

Descriptive statistics for the sample of students placed in single grade classes are reported in Panel (b) of Table 1, while in Panel (c) are reported descriptive statistics for students in a multigrade class (Actual Multigrade1). ${ }^{17}$

If we compare students in the sample used for our main analysis (Table 1, Panel (a)) with the total population of students enrolled in grade $5^{\text {th }}$ (see Table A.1. in the Appendix of the paper) we find a number of differences with respect to individual background that depend on the fact that the students we consider in

[^7]our analysis live in small villages, typically characterized by poorer economic conditions. In fact, students in our sample are from less wealthy families, less likely to have an immigrant background and to have attended pre-primary school. They obtain worse scores both in literacy and numeracy, while grades assigned by teachers are only slightly lower compared to those observed for the whole population. On the contrary, there are not relevant differences as regards the percentage of students regularly enrolled.

When we compare students in our sample placed in single grade classes (Table 1, Panel (b)) with those placed in multigrade ones (Table 1, Panel (c)) we find that students in multigrade classes are comparable in terms of a number of observable characteristics, such as gender, ESCS index, father and mother nationality. There are, however, some statistically significant differences in terms of percentage of regular students, class size, and attendance of pre-primary school. In addition, the average score obtained both in literacy and numeracy standardized tests is lower for students in multigrade classes compared to students in single grade classes.

Table 1. Descriptive statistics - schools with no more than a classroom for the $5^{\text {th }}$ grade

|  | Panel (a) Whole sample |  |  | Panel (b) Single Grade |  |  | $\begin{gathered} \text { Panel (c) } \\ \text { Actual Multigrade1 } \end{gathered}$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Mean | St. Dev. | Obs. | Mean | St. Dev. | Obs. | Mean | St. Dev. | Obs. |
| Actual Multigradel | 0.241 | 0.427 | 14,290 |  |  |  |  |  |  |
| Actual Multigrade 2 | 0.387 | 0.487 | 14,290 |  |  |  |  |  |  |
| Predicted Multigrade | 0.325 | 0.468 | 14,290 | 0.198 | 0.399 | 10,852 | 0.726 | 0.446 | 3,438 |
| Rasch Literacy Score | 197.224 | 41.523 | 14,290 | 197.990 | 41.744 | 10,852 | 194.808 | 40.729 | 3,438 |
| Literacy Score | 75.603 | 13.945 | 14,290 | 75.844 | 14.012 | 10,852 | 74.846 | 13.707 | 3,438 |
| Teacher Mark | 7.487 | 1.109 | 13,200 | 7.489 | 1.115 | 9,979 | 7.481 | 1.089 | 3,221 |
| Literacy <br> Rasch Numeracy Score | 173.735 | 41.422 | 14,290 | 175.314 | 40.998 | 10,852 | $168.75$ | 42.352 | 3,438 |
| Numeracy Score | 52.943 | 19.604 | 14,290 | 53.219 | 19.658 | 10,852 | 52.072 | 19.411 | 3,438 |
| Teacher Mark | 7.577 | 1.152 | 13,252 | 7.579 | 1.159 | 10,014 | 7.571 | 1.130 | 3,238 |
| External Locus of Control | 2.247 | 1.667 | 14,119 | 2.223 | 1.667 | 10,717 | 2.322 | 1.663 | 3,402 |
| Ext Locus Control Positive | 1.364 | 1.162 | 13,895 | 1.351 | 1.164 | 10,546 | 1.404 | 1.156 | 3,349 |
| Ext.Locus Control Negative | 0.912 | 0.964 | 14,006 | 0.901 | 0.959 | 10,630 | 0.947 | 0.977 | 3,376 |
| Female | 0.491 | 0.500 | 14,290 | 0.491 | 0.500 | 10,852 | 0.492 | 0.500 | 3,438 |
| Regularly Enrolled | 0.942 | 0.233 | 14,290 | 0.939 | 0.238 | 10,852 | 0.952 | 0.214 | 3,438 |
| Early Enrolled | 0.015 | 0.122 | 14,290 | 0.017 | 0.128 | 10,852 | 0.010 | 0.100 | 3,438 |
| Late Enrolled | 0.042 | 0.202 | 14,290 | 0.044 | 0.205 | 10,852 | 0.038 | 0.191 | 3,438 |
| Pre Primary School | 0.115 | 0.319 | 14,290 | 0.123 | 0.328 | 10,852 | 0.090 | 0.286 | 3,438 |
| ESCS index | -0.009 | 0.973 | 14,290 | 0.000 | 0.987 | 10,852 | -0.037 | 0.925 | 3,438 |
| Italian Father | 0.850 | 0.357 | 14,290 | 0.847 | 0.360 | 10,852 | 0.860 | 0.347 | 3,438 |
| Italian Mother | 0.831 | 0.375 | 14,290 | 0.830 | 0.375 | 10,852 | 0.834 | 0.372 | 3,438 |
| Full day | 0.161 | 0.367 | 14,290 | 0.166 | 0.372 | 10,852 | 0.145 | 0.352 | 3,438 |
| \# student enrolled in grade 5 | 10.278 | 2.548 | 14,290 | 11.097 | 1.892 | 10,852 | 7.695 | 2.627 | 3,438 |
| Class size | 10.555 | 2.152 | 14,290 | 11.101 | 1.876 | 10,852 | 8.829 | 2.055 | 3,438 |
| Southern regions | 0.371 | 0.483 | 14,290 | 0.380 | 0.485 | 10,852 | 0.341 | 0.474 | 3,438 |
| Altitude | 382.074 | 293.694 | 14,290 | 343.794 | 282.104 | 10,852 | 502.905 | 296.851 | 3,438 |
| Population size | 45966.97 | 250,921.2 | 14,290 | 58477.34 | 286,547.3 | 10,852 | 6478.158 | 21765.03 | 3,438 |

Notes: The data are drawn from the Invalsi websites (downloaded on $7 / 2 / 2016$ )

## 3. Estimation Strategy

Distinguishing the effect of grade mixing from the effect produced by other factors that are both relevant for student cognitive and non-cognitive skills and for being placed in a multigrade class is not an easy task. In order to recover the causal impact of multigrade classes on student performance we exploit the rule that sets to 10 the minimum number of students in a class and also requires that multigrade classes cannot be composed by more than 12 students. As these rules introduce a plausibly exogenous variation in treatment status, we use them to identify the impact of multigrade classes on student outcomes. In fact, the application of these rules implies that the probability of attending a mixed-grade class is a discontinuous function of the number of students enrolled in a class and also depends on the number of students enrolled in adjacent grades. Then, we apply an instrumental variable strategy that uses the class size rule as an instrument for being placed in a multigrade class. We estimate the following model:
[1] $\quad Y_{i j}=\beta_{0}+\beta_{1}$ Actual Multigrade $_{i j}+\beta_{2}{\text { Class } \text { Size }_{i j}+\beta_{3} X_{i j}+\lambda_{k}+\varepsilon_{i j}, ~}_{\text {I }}$
[2] $\quad$ Actual Multigrade $_{i j}=\phi_{0}+\phi_{1}$ Predicted Multigrade $_{i j}+\phi_{2}$ Class Size $_{i j}+\phi_{3} X_{i j}+\lambda_{k}+v_{i j}$
where in equation [1] $Y_{i j}$ is the outcome variable of interest (alternatively the performance of student $i$ enrolled in class $j$ in Literacy and Numeracy or herlhis indicator of locus of control); Actual Multigrade ${ }_{i j}$ is a dummy variable indicating whether the student is attending a multigrade class; Class $\operatorname{Size}_{i j}$ is the number of students attending class $j ; X_{i j}$ is a vector of individual and school characteristics (gender, ESCS index, mother and father immigrant status, pre-primary school attendance, Early Enrolled, Late Enrolled, Full day); $\lambda_{k}$ are regional fixed effects and $\varepsilon_{i j}$ is a random error term. Equation [2] represents the first stage of the relationship between student actual placement in a multigrade class and Predicted Multigrade, that is a dummy variable taking the value of one when the number of students enrolled in $5^{\text {th }}$ grade class $j$ attended by student $i$ is smaller than 10 and when class size in a multigrade class does not exceed the maximum number of 12 students allowed by the law.

The rule establishing a specific maximum number of students for multigrade classes allows us to avoid problems typically encountered by studies that exploit minimum class size rules. These works have to take into account that when a multigrade class is formed there is also a sharp change in class size. In our case, since according to the Italian law, multigrade classes cannot be composed by more than 12 students, class size is similar in multigrade and single grade classes that are just above the minimum threshold of 10 students. In our sample, average class size in multigrade classes is of 8.8 , while it is equal to 11 students in single grade classes. However, as described in equation [1], in our estimates we control for class size and to avoid problems that might derive from class size endogeneity we have restricted our analysis to small
schools that have no more than one classroom for $5^{\text {th }}$ grade and to classes composed by no more than 13 students and no less than 5 students (the maximum and minimum class size imposed by the reform for multigrade classes, applying the discretionary margin of $10 \%$ ).

Given the type of schools considered in our analysis is also unlikely that school managers behaved in such a way as to change the number of enrolled students in a given grade when it was near the cut-off point (the composition of a multigrade class also depends on the number of students enrolled in adjacent grades). They might be interested in such manipulations to avoid the reduction of the number of teachers working in the school or (at the opposite extreme) to get rid of undesirable teachers. However, the minimum class size rule applies when the number of enrolled students becomes quite low and this is likely to occur in small and/or isolated municipalities where it is difficult to attract new students. In addition, in Italy grade retention in primary school is very rare and it is very unlikely that teachers and school managers use this variable to reach the minimum class size rule. In our sample $94 \%$ of students are regular in their school path, while about $4.2 \%$ and $1.5 \%$ of them are late or early entrants in their educational path. Delays in students' educational process are mostly due to the fact that non-Italian students at the entry of their stay in the country are often placed in grades lower than those corresponding to their age, in order to improve the mastery of Italian language. In fact, when we only consider native students who typically start school at the expected age, the percentage of students being late in their educational career drops to $2 \%$.

In order to try to understand whether there has been manipulation in the number of students enrolled in $4^{\text {th }}$ and $5^{\text {th }}$ grades, in Figure 2 and Figure 3 we present the density of grade enrolment in each grade for our sample and the whole sample (including also classes with more than 13 students), respectively. As shown in Figure 2, presenting the density of grade enrolment, there are no suspect discontinuities.


Figure 2. Density of Grade Enrolment, small classes sample


Figure 3. Density of Grade Enrolment, full sample

We have also checked whether our instrument is correlated to student and school characteristics. Even if testing exclusion restriction is not possible since it involves the structural error that is never observable, if there is no relationship between the instrument and observable student and school characteristics one may reasonably expect that also unobserved student and school characteristics be uncorrelated with the instrument. Similarly, to Sims (2009) and Sattari (2016), we regress students' and schools' characteristics on PredictedMultigrade $\mathrm{e}_{j j}$. Results of our regression are reported in Table 2, where we test whether the PredictedMultigrade $e_{j j}$ is predictive of a number of student characteristics. Overall, Table 2 confirms that these variables typically fail to show a statistically significant correlation with instrument status. However, since not all variables are balanced, we control for these variables in the regressions to avoid any bias due to the lack of balance. ${ }^{18}$

Table 2. Differences in predetermined characteristics. $5^{\text {th }}$ grade - Italy 2011-12

|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ | $(6)$ | $(7)$ | $(8)$ | $(9)$ | $(10)$ | $(11)$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | FemaleRegularly <br> Enrolled | Early <br> Enrolled | Late <br> Enrolled | Pre- <br> primary <br> school | ESCS <br> index | Italian <br> Father | Italian <br> Mother | Full <br> Day | Altitude | Popul. <br> size |  |
| Predicted | 0.007 | $0.010^{* *}$ | $-0.006^{* * *}$ | -0.006 | $-0.015^{*}$ | -0.033 | -0.001 | -0.008 | -0.021 | $143.066^{* * *}-51.999^{* * *}$ |  |
| Multigrade | $(0.008)$ | $(0.005)$ | $(0.002)$ | $(0.004)$ | $(0.008)$ | $(0.024)$ | $(0.009)$ | $(0.009)$ | $(0.019)$ | $(14.453)$ | $(11.613)$ |
| Obs | 14,290 | 14,290 | 14,290 | 14,290 | 14,290 | 14,290 | 14,29 | 14,290 | 14,290 | 14,290 | 14,290 |

The symbols $* * *, * *, *$ indicate that the coefficients are statistically significant at the 1,5 and 10 percent level, respectively.

As explained in the previous section, we see an imperfect correspondence with the Assigned Treatment and Actual Multigrade. This is due both to the fact that effective treatment is measured with error and to the fact that schools may deviate from the rule. Based on the First Stage Equation, in Figures 4, we plot the probability of attending a mixed-grade class against class size when considering the whole sample of

[^8]students attending the $5^{\text {th }}$ grade in schools with no more than 5 classrooms (estimates for this sample are reported in the Appendix of the paper). The circles are the means of the probability of effectively attending a mixed grade class for a given Class Size, while the red dots are the predicted values from the first stage equation. As it is possible to see on the left hand side of the graph in Figure 4, the probability of effectively attending a mixed grade class for students in classes just below the cut-off point is about 0.39 while it drops 0.19 for students in classes with a number of enrolled students just above the threshold. A similar picture emerges also when focusing on the sample we use in our main analysis (Figure 5).


Figure 4. First Stage relationship: Grade Enrolment and Predicted Actual Multigrade. Full sample


Figure 5. First Stage relationship: Grade Enrolment and Predicted Actual Multigrade. Small classes sample

## 4. The effect of multigrade classes on cognitive skills

In this section, we report our main results of the effect of being placed in a multigrade class on some measures of student cognitive abilities. The INVALSI dataset provides information on both standardized tests and teacher evaluations. Then, for each student we observe both the marks assigned by math and language teachers and the INVALSI standardized test score results obtained in the same areas during the same school year. We firstly analyse the impact of multigrade classes on the INVALSI standardized test scores and then we focus our attention on marks assigned by teachers.

### 4.1. The effect of multigrade classes on standardized test scores

We begin our analysis using as outcome variables students' performance in standardized test scores. Initially we focus on student performance in the Italian language test and then we turn our attention to their performance in math.

In Table 3 we report instrumental variable estimation results when considering as dependent variable the Italian Language Score. In the Panel B of the Table we report First Stage estimation results. Standard errors are robust to heteroscedasticity and are allowed for clustering at the class level. In all specifications we control for regional fixed effects.

The First Stage shows that Predicted Multigrade strongly determines the effective treatment, since the First Stage F-statistics is always greater than 57.

In the first two specifications of Table 3 our dependent variable is the fraction of correct answers in the Literacy test. In specification (1) we control for school and individual characteristics. We find that being placed in a multigrade class produces a negative effect on student performance in the Literacy test. The effect remains statistically significant (at 10 percent level) when we control for class size (column 2). Students in multigrade classes obtain a Literacy Scores of about 0.2 a standard deviation lower compared to students in single grade classes. Similar results are found in specifications (3) and (4) where we replicate the first two specifications of Table 3 but consider as outcome variable the Rasch score, which also take into account the different degree of difficulty of questions. However, the effect is not statistically significant at conventional levels when we control for class size. Class size does not produce any statistically significant effect.

The effects of control variables are consistent with the findings presented in the existing literature. Females tend to perform better than males. Students with a better socio-economic background obtain better results compared to students who are from more disadvantaged families. In addition, students with Italian parents perform better than students whose parents were born abroad. ${ }^{19}$

[^9]Table 3. TSLS Estimates of Multigrade Classes on Literacy Scores

|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| :--- | :---: | :---: | :---: | :---: |
|  | Literacy Score | Literacy Score | Rasch Literacy Score | Rasch Literacy Score |
|  | Panel A: Two-Stage Least Squares Estimates |  |  |  |
| Actual Multigradel | $-2.849^{* * *}$ | $-3.981^{*}$ | $-8.211^{* * *}$ | -9.642 |
|  | $(0.990)$ | $(2.341)$ | $(2.795)$ | $(6.786)$ |
| Class Size |  | -0.117 |  | -0.148 |
|  |  | $(0.209)$ | $(0.602)$ |  |
| Female | $2.674^{* * *}$ | $2.675^{* * *}$ | $7.779^{* * *}$ | $7.779^{* * *}$ |
|  | $(0.231)$ | $(0.231)$ | $(0.684)$ | $(0.684)$ |
| Pre Primary School | -0.186 | -0.211 | -0.982 | -1.014 |
|  | $(0.401)$ | $(0.407)$ | $(1.189)$ | $(1.199)$ |
| Early Enrolled | $-1.785^{*}$ | $-1.816^{*}$ | $-5.622^{*}$ | $-5.660^{*}$ |
|  | $(1.053)$ | $(1.055)$ | $(2.961)$ | $(2.958)$ |
| Late Enrolled | $-6.651^{* * *}$ | $-6.653^{* * *}$ | $-17.092^{* * *}$ | $-17.094^{* * *}$ |
|  | $(0.742)$ | $(0.741)$ | $(1.921)$ | $(1.921)$ |
| Full day | -0.398 | -0.399 | -1.072 | -1.073 |
|  | $(0.568)$ | $(0.570)$ | $(1.656)$ | $(1.659)$ |
| ESCS index | $2.839^{* * *}$ | $2.829^{* * *}$ | $8.938^{* * *}$ | $8.926^{* * *}$ |
|  | $(0.142)$ | $(0.144)$ | $(0.406)$ | $(0.411)$ |
| Italian Father | $2.174^{* * *}$ | $2.193^{* * *}$ | $6.476^{* * *}$ | $6.501^{* * *}$ |
|  | $(0.445)$ | $(0.446$ | $(1.297)$ | $(1.300)$ |
| Italian Mother | $1.320^{* * *}$ | $1.323^{* * *}$ | $4.365^{* * *}$ | $4.369^{* * *}$ |
| Altitude | $(0.398)$ | $(0.398)$ | $(1.177)$ | $(1.178)$ |
| Population | 0.001 | 0.001 | 0.003 | 0.003 |
|  | $(0.001)$ | $(0.001)$ | $(0.003)$ | $(0.003)$ |
| Observations | -0.000 | -0.000 | 0.000 | 0.000 |
|  | $(0.001)$ | $(0.001)$ | $(0.002)$ | $(0.002)$ |
| Predicted Multigrade | 14290 | 14290 | 14290 | 14290 |
| Class Size |  |  |  |  |
| First Stage F Statistics | $0.392^{* * *}$ | $0.288^{* * *}$ | $0.392^{* * *}$ | $(0.007)$ |

Notes: The Table reports TSLS estimates. Standard errors in parentheses are corrected for heteroscedasticity. In all regressions we control for regional dummies ( 20 categories, not reported). The symbols ${ }^{* * *}$, $* *$, $*$ indicate that coefficients are statistically significant, respectively, at the 1,5 , and 10 percent level.

In Table 4 we report results obtained when considering as dependent variable student cognitive skill in math. More precisely in the two first specification of the Table we consider as outcome variable the number of correct answers in numeracy test, while in specifications (3) and (4) the Rash Numeracy Score is considered. We find that being placed in a multigrade class reduces student score in numeracy. The effect remains also when controlling for class size: students in multigrade classes obtain a Numeracy Scores of about half a standard deviation lower compared to students in single grade classes. A decrease of half a standard deviation would move people who were originally at the mean, which is also about the median of the Numeracy Score, down to the third decile. Class size does not produce any statistically significant impact.

The negative effect holds true when we consider as outcome variables the Rasch score. The magnitude of the effect is of about 0.4 of a standard deviation. In order to evaluate the magnitude of the estimated effect, it is useful to consider that the effect of being assigned to a multigrade class on the Rasch

Numeracy Score corresponds to the effect produced by an increase in ESCS index of about 3 standard deviations.

Table 4. TSLS Estimates of Multigrade Classes on Numeracy Scores

|  | (1) | (2) | (3) | (4) |
| :---: | :---: | :---: | :---: | :---: |
|  | Numeracy Score | Numeracy Score | Rasch Numeracy Score | Rasch Numeracy Score |
| Panel A: Two-Stage Least Squares Estimates |  |  |  |  |
| Actual Multigrade1 | -5.448*** | -9.277** | -14.710*** | -12.611 |
|  | (1.569) | (3.954) | (3.235) | (7.885) |
| Class Size |  | -0.396 |  | 0.217 |
|  |  | (0.336) |  | (0.679) |
| Female | 2.215*** | 2.214*** | $2.705^{* * *}$ | 2.705*** |
|  | (0.330) | (0.332) | (0.584) | (0.583) |
| Pre Primary School | 0.128 | 0.041 | 3.023** | 3.070** |
|  | (0.596) | (0.611) | (1.310) | (1.320) |
| Early Enrolled | -0.180 | -0.283 | 6.938** | 6.994** |
|  | (1.565) | (1.564) | (3.196) | (3.194) |
| Late Enrolled | -6.602*** | -6.608*** | -7.029*** | -7.026*** |
|  | (0.871) | (0.874) | (1.653) | (1.649) |
| Full day | 0.803 | 0.801 | -1.199 | -1.198 |
|  | (0.818) | (0.834) | (1.711) | (1.708) |
| ESCS index | 4.075*** | 4.042*** | 5.048*** | 5.066*** |
|  | (0.201) | (0.207) | (0.421) | (0.429) |
| Italian Father | 2.081*** | 2.147*** | 2.842** | 2.806** |
|  | (0.649) | (0.657) | (1.195) | (1.193) |
| Italian Mother | 1.561*** | 1.571*** | 1.365 | 1.360 |
|  | (0.584) | (0.590) | (1.108) | (1.105) |
| Altitude | 0.005*** | 0.005*** | -0.001 | -0.002 |
|  | (0.001) | (0.002) | (0.003) | (0.004) |
| Population | -0.000 | -0.001 | 0.010*** | 0.010*** |
|  | (0.002) | (0.002) | (0.003) | (0.003) |
| Observations | 14290 | 14290 | 14290 | 14290 |
| Panel B: First Stage |  |  |  |  |
| Predicted Multigrade | 0.392*** | 0.288*** | 0.392*** | 0.288*** |
|  | (0.007) | (0.012) | (0.007) | (0.012) |
| Class Size |  | -0.028*** |  | -0.028*** |
|  |  | (0.003) |  | (0.003) |
| First Stage F Statistics | 318.651 | 57.448 | 318.651 | 57.448 |

Notes: The Table reports TSLS estimates. Standard errors (reported in parentheses) are corrected for heteroscedasticity. In all the regressions we control for regional dummies ( 20 categories, not reported). The symbols $*^{* *}$, $*^{*}$, * indicate that coefficients are statistically significant, respectively, at the 1,5 , and 10 percent level.

Comparing results presented in Tables 3 and 4 with those obtained with an OLS estimator (see Table A.4. in the Appendix of the paper), we find that even if OLS and IV estimates yield the same qualitatively results the magnitude of the effects is higher in IV estimates pointing to a bias in OLS estimates possibly due to omitted variables or measurement error.

Qualitatively the same results are found, both for the Literacy and Numeracy test scores, when we run our regressions considering the whole sample of students undertaking the INVALSI standardized test and attending schools with no more than five classrooms (see Table A. 4. in the Appendix of the paper). In addition, these results are robust when controlling for a number of characteristics of the municipality in which the school is located, such as population, extension in squared kilometres, altitude (results not reported
but available upon request). ${ }^{20}$ We also checked using interactions whether the effect of multigrade classes is heterogeneous according to student gender and economic background, but we do not find statistically significant differences.

### 4.2. The effect of multigrade classes on marks assigned by teachers

In this section we investigate the effect of multigrade classes on student performance as assessed by the teachers through the marks assigned on the subject. In Table 5 we replicate the same specifications we have estimated in the previous analysis but considering as outcome variables the marks assigned by teachers in Literacy (columns 1 and 2) and Numeracy (columns 3 and 4), respectively. In specifications where we do not control for class size, we do not find any statistically significant effect of being assigned to a multigrade class on teacher assessment of students' skills. When we control for class size we find a negative effect statistically significant at the 10 percent level.

Table 5. TSLS Estimates of Multigrade Classes on marks assigned by teachers

|  | (1) | (2) | (3) | (4) |
| :---: | :---: | :---: | :---: | :---: |
|  | Teacher Mark Literacy | Teacher Mark Literacy | Teacher Mark Numeracy | Teacher Mark Numeracy |
|  | Panel A: Tw | ge Least Squar | timates |  |
| Actual Multigrade | $\begin{aligned} & -0.013 \\ & (0.076) \end{aligned}$ | $\begin{gathered} -0.344^{*} \\ (0.178) \end{gathered}$ | $\begin{gathered} 0.056 \\ (0.078) \end{gathered}$ | $\begin{gathered} -0.346^{*} \\ (0.184) \end{gathered}$ |
| Class Size |  | $\begin{gathered} -0.034^{* *} \\ (0.015) \end{gathered}$ |  | $\begin{gathered} -0.041 * * * \\ (0.015) \end{gathered}$ |
| Female | $\begin{gathered} -0.247 * * * \\ (0.019) \end{gathered}$ | $\begin{gathered} -0.247 * * * \\ (0.020) \end{gathered}$ | $\begin{gathered} -0.062 * * * \\ (0.020) \end{gathered}$ | $\begin{gathered} -0.062 * * * \\ (0.020) \end{gathered}$ |
| Pre Primary School | $\begin{aligned} & -0.035 \\ & (0.030) \end{aligned}$ | $\begin{aligned} & -0.044 \\ & (0.031) \end{aligned}$ | $\begin{aligned} & -0.031 \\ & (0.031) \end{aligned}$ | $\begin{aligned} & -0.043 \\ & (0.032) \end{aligned}$ |
| Early Enrolled | $\begin{gathered} 0.089 \\ (0.081) \end{gathered}$ | $\begin{gathered} 0.082 \\ (0.081) \end{gathered}$ | $\begin{gathered} 0.063 \\ (0.075) \end{gathered}$ | $\begin{gathered} 0.055 \\ (0.075) \end{gathered}$ |
| Late Enrolled | $\begin{gathered} -0.533 * * * \\ (0.051) \end{gathered}$ | $\begin{gathered} -0.531 * * * \\ (0.051) \end{gathered}$ | $\begin{gathered} -0.459 * * * \\ (0.055) \end{gathered}$ | $\begin{gathered} -0.457 * * * \\ (0.055) \end{gathered}$ |
| Full day | $\begin{aligned} & -0.058 \\ & (0.041) \end{aligned}$ | $\begin{aligned} & -0.057 \\ & (0.041) \end{aligned}$ | $\begin{aligned} & -0.033 \\ & (0.040) \end{aligned}$ | $\begin{aligned} & -0.031 \\ & (0.040) \end{aligned}$ |
| ESCS index | $\begin{gathered} 0.304 * * * \\ (0.011) \end{gathered}$ | $\begin{gathered} 0.301 * * * \\ (0.011) \end{gathered}$ | $\begin{gathered} 0.312 * * * \\ (0.011) \end{gathered}$ | $\begin{gathered} 0.309^{* * *} \\ (0.011) \end{gathered}$ |
| Italian Father | $\begin{gathered} 0.148 * * * \\ (0.037) \end{gathered}$ | $\begin{gathered} 0.154 * * * \\ (0.037) \end{gathered}$ | $\begin{gathered} 0.112 * * * \\ (0.039) \end{gathered}$ | $\begin{gathered} 0.120 * * * \\ (0.039) \end{gathered}$ |
| Italian Mother | $\begin{gathered} 0.228 * * * \\ (0.034) \end{gathered}$ | $\begin{gathered} 0.227 * * * \\ (0.034) \end{gathered}$ | $\begin{gathered} 0.216 * * * \\ (0.035) \end{gathered}$ | $\begin{gathered} 0.214 * * * \\ (0.035) \end{gathered}$ |
| Altitude | $\begin{gathered} 0.000 \\ (0.000) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.000) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.000) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.000) \end{gathered}$ |
| Population | $\begin{gathered} 0.000 \\ (0.000) \end{gathered}$ | $\begin{gathered} 0.000 \\ (0.000) \end{gathered}$ | $\begin{aligned} & 0.000^{*} \\ & (0.000) \end{aligned}$ | $\begin{aligned} & 0.000^{*} \\ & (0.000) \end{aligned}$ |
| Observations | 13200 | 13200 | 13252 | 13252 |
| Panel B: First Stage |  |  |  |  |
| Predicted Multigrade | 0.408*** | 0.289*** | 0.392*** | 0.289*** |

[^10]|  | $(0.022)$ | $(0.012)$ | $(0.007)$ | $(0.012)$ |
| :--- | :---: | :---: | :---: | :---: |
| Class Size |  | $-0.027 * * *$ |  | $-0.027 * * *$ |
|  |  | $(0.008)$ |  | $(0.008)$ |
| First Stage F Statistics | 292.38 | 52.259 | 292.38 | 52.259 |

Notes: The Table reports TSLS estimates. Standard errors (reported in parentheses) are corrected for heteroscedasticity. In all the regressions we control for regional dummies ( 20 categories, not reported). The symbols $*^{* *}$, $*^{*}$, * indicate that coefficients are statistically significant, respectively, at the 1,5 , and 10 percent level.

All in all, we find that students attending multigrade classes perform significantly worse in Numeracy standardized tests, while the effect on Literacy though negative is smaller and in some cases statistically insignificant. On the other hand, the effect of being placed in a multigrade class on teachers' assessment of student skills is negative but not always statistically significant.

## 5. The effect of multigrade classes on non-cognitive skills

Individual success is both determined by cognitive and non-cognitive abilities (or personality traits). Locus of control has received particular attention by both psychologists and economists who have shown its relevance for social and economic success.

In order to assess the reliability of our measures of external locus of control we have tried to see whether they behave similarly to what described in the literature. One well documented result is the negative correlation between cognitive ability and external locus of control (see Cebi, 2007; Baron and Cobb-Clark, 2010). This relationship is confirmed by our data as we find a negative correlation between student performance in literacy and numeracy and our measures of external locus of control. The correlation between the Numeracy Score and External Locus of Control is -0.167 ( p -value 0.000 ), while the correlation between the Language Score and External Locus of Control is -0.199 ( p -value 0.000).

In Table 6 we report instrumental variable estimation results when considering different measures of external locus of control as dependent variable. In the first two specifications of Table 6 our dependent variable is External Locus of Control. We find that students attending a Multigrade class are more inclined to have an external locus of control. The effect is statistically significant at the 10 percent level when we control for class size (column 2). In columns (3) and (4) we consider as dependent variable students tendency to attribute unsuccessful situations to external factors (External Neg). We find that students attending a multigrade class are more inclined to attribute unsuccessful situations to luck or other factors behind their own control (column 3). This result holds true also controlling for class size (column 4). On the other hand we do not find any statistically significant correlation between Actual Multigrade and student tendency to attribute successful situations to external factors (columns 5 and 6).

The sign of the effects remains the same also when considering the whole sample of students but the effects become more imprecisely estimated and statistically not significant at conventional levels.

The effect we find can derive both from teachers adopting a different teaching approach and from students interacting in a very peculiar environment. For instance, it could be that multigrade classes involve a more individualized teaching style that might affect socio-emotional skills. In addition, since multigrade
classes are more heterogeneous in terms of pupils' age, it might be more difficult for students to understand whether the results they get are due to ability and effort or are instead related to age. If success or un-success depends on being the youngest or the oldest in a group, why bother expending any effort? Age heterogeneity can also affect the quality of relationships among peers and through this channel affect locus of control and so on. Unfortunately, data at hand do not allow us to further investigate these channels.

Table 6. TSLS Estimates of Multigrade Classes on External Locus of Control

|  | (1) | (2) | (3) | (4) | (5) | (6) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | External Locus of Control | External Locus of Control | External Locus of Control Neg | Externa <br> Locus of Control Neg | Externa Locu of Control Pos | External Locus of Control Pos |
| Panel A: Two-Stage Least Squares Estimates |  |  |  |  |  |  |
| Actual Multigrade1 | $\begin{gathered} 0.106 \\ (0.093) \end{gathered}$ | $\begin{gathered} 0.349 \\ (0.225) \end{gathered}$ | $\begin{aligned} & 0.090^{*} \\ & (0.053) \end{aligned}$ | $\begin{aligned} & 0.224^{*} \\ & (0.136) \end{aligned}$ | $\begin{gathered} 0.025 \\ (0.062) \end{gathered}$ | $\begin{gathered} 0.122 \\ (0.150) \end{gathered}$ |
| Class Size |  | $\begin{gathered} 0.025 \\ (0.020) \end{gathered}$ |  | $\begin{gathered} 0.014 \\ (0.012) \end{gathered}$ |  | $\begin{gathered} 0.010 \\ (0.013) \end{gathered}$ |
| Female | $\begin{gathered} 0.311 * * * \\ (0.028) \end{gathered}$ | $\begin{gathered} 0.311 * * * \\ (0.028) \end{gathered}$ | $\begin{gathered} 0.155 * * * \\ (0.017) \end{gathered}$ | $\begin{gathered} 0.155 * * * \\ (0.017) \end{gathered}$ | $\begin{gathered} 0.161 * * * \\ (0.020) \end{gathered}$ | $\begin{gathered} 0.161 * * * \\ (0.020) \end{gathered}$ |
| Pre Primary School | $\begin{gathered} 0.047 \\ (0.046) \end{gathered}$ | $\begin{gathered} 0.052 \\ (0.046) \end{gathered}$ | $\begin{gathered} 0.009 \\ (0.028) \end{gathered}$ | $\begin{gathered} 0.011 \\ (0.028) \end{gathered}$ | $\begin{gathered} 0.047 \\ (0.031) \end{gathered}$ | $\begin{gathered} 0.049 \\ (0.031) \end{gathered}$ |
| Early Enrolled | $\begin{gathered} 0.156 \\ (0.138) \end{gathered}$ | $\begin{gathered} 0.162 \\ (0.138) \end{gathered}$ | $\begin{gathered} 0.011 \\ (0.080) \end{gathered}$ | $\begin{gathered} 0.015 \\ (0.081) \end{gathered}$ | $\begin{gathered} 0.125 \\ (0.090) \end{gathered}$ | $\begin{gathered} 0.127 \\ (0.090) \end{gathered}$ |
| Late Enrolled | $\begin{gathered} 0.410 * * * \\ (0.076) \end{gathered}$ | $\begin{gathered} 0.410^{* * *} \\ (0.076) \end{gathered}$ | $\begin{gathered} 0.234 * * * \\ (0.046) \end{gathered}$ | $\begin{gathered} 0.235 * * * \\ (0.046) \end{gathered}$ | $\begin{gathered} 0.195 * * * \\ (0.055) \end{gathered}$ | $\begin{gathered} 0.195^{* * *} \\ (0.055) \end{gathered}$ |
| Full day | $\begin{gathered} 0.045 \\ (0.052) \end{gathered}$ | $\begin{gathered} 0.045 \\ (0.052) \end{gathered}$ | $\begin{gathered} 0.026 \\ (0.029) \end{gathered}$ | $\begin{gathered} 0.026 \\ (0.030) \end{gathered}$ | $\begin{gathered} 0.022 \\ (0.033) \end{gathered}$ | $\begin{gathered} 0.022 \\ (0.033) \end{gathered}$ |
| ESCS index | $\begin{gathered} -0.169^{* * *} \\ (0.016) \end{gathered}$ | $\begin{gathered} -0.167 * * * \\ (0.016) \end{gathered}$ | $\begin{gathered} -0.050 * * * \\ (0.009) \end{gathered}$ | $\begin{gathered} -0.049 * * * \\ (0.009) \end{gathered}$ | $\begin{gathered} -0.125 * * * \\ (0.011) \end{gathered}$ | $\begin{gathered} -0.124 * * * \\ (0.011) \end{gathered}$ |
| Italian Father | $\begin{aligned} & -0.083 \\ & (0.056) \end{aligned}$ | $\begin{gathered} -0.088 \\ (0.056) \end{gathered}$ | $\begin{gathered} -0.073 * * \\ (0.032) \end{gathered}$ | $\begin{gathered} -0.076 * * \\ (0.032) \end{gathered}$ | $\begin{aligned} & -0.007 \\ & (0.039) \end{aligned}$ | $\begin{aligned} & -0.008 \\ & (0.039) \end{aligned}$ |
| Italian Mother | $\begin{gathered} -0.112 * * \\ (0.050) \end{gathered}$ | $\begin{gathered} -0.113 * * \\ (0.050) \end{gathered}$ | $\begin{aligned} & -0.047 \\ & (0.029) \end{aligned}$ | $\begin{aligned} & -0.047 \\ & (0.029) \end{aligned}$ | $\begin{aligned} & -0.068^{*} \\ & (0.035) \end{aligned}$ | $\begin{aligned} & -0.068^{*} \\ & (0.035) \end{aligned}$ |
|  | 0.000 | 0.000 | -0.000 | -0.000 | 0.000 | 0.000 |
|  | (0.000) | (0.000) | (0.000) | (0.000) | (0.000) | (0.000) |
|  | -0.000 | -0.000 | -0.000 | -0.000 | 0.000 | 0.000 |
|  | (0.000) | (0.000) | (0.000) | (0.000) | (0.000) | (0.000) |
| Observations | 14119 | 14119 | 14006 | 14006 | 13895 | 13895 |
| Panel B: First Stage |  |  |  |  |  |  |
| Predicted Multigrade | 0.394*** | 0.288*** | 0.394*** | 0.287*** | 0.393*** | 0.287*** |
|  | (0.007) | (0.012) | (0.007) | (0.012) | (0.007) | (0.012) |
| Class Size |  | -0.028*** |  | -0.028*** |  | -0.028*** |
|  |  | (0.003) |  | (0.003) |  | (0.003) |
| First Stage F Statistics | 318.789 | 56.946 | 317.119 | 56.510 | 316.03 | 56.357 |

Notes: The Table reports TSLS estimates. Standard errors (reported in parentheses) are corrected for heteroscedasticity. In all the regressions we control for regional dummies ( 20 categories, not reported). The symbols $* * *$, **, * indicate that coefficients are statistically significant, respectively, at the 1,5 , and 10 percent level.

## 6. Robustness Checks

In this section we perform a number of robustness checks. First, even if we dealt cheating problems by using the "cheating-corrected" test scores, to be reassured that our results are not driven by different cheating
behaviour in single and multigrade classes we only considered schools located in the Northern part of the country where cheating problems have been proved to be less important (see for instance Paccagnella and Sestito, 2014). Second, to check whether our results are driven by the selection of students with poorer background in multigrade classes, we restrict our analysis respectively to school located in mountainous areas and to municipalities with not more than one school where it is very costly to enrol students in a school located in a different area. Third, to this point our measure of Actual Multigrade has consisted of students attending small classes in small schools where there were at least two multigrade classrooms, we examine the robustness of our results to an alternative measure that includes students enrolled in schools where there is only one multigrade class. Finally, we use an alternative sample selection procedure focusing on small municipalities and instrument class size with population size.

In Table 7 we report estimation results for the specifications with the full set of regressors while restricting the sample to schools located in Northern regions and considering as outcome variables alternatively the Literary and Numeracy scores (columns 1 and 2), the marks assigned by teachers (columns 3 and 4) and our indicator of external locus of control (column 5).

As regard to student performance on Literacy and Numeracy test scores we find results that are consistent with those found with the sample including the full country (we find very similar results also when considering as outcome variables Rasch Literacy Score and Rasch Numeracy Score, not reported). We also find that Actual Multigrade produces a negative and statistically significant effect on student performance when considering marks assigned by teachers as a measure of their cognitive skills (the effect is negative but far from being statistically significant when we restrict the sample to schools located in the South).

Results are also consistent with the previous section when we consider External Locus of Control as outcome variable (column 5): once again we find that being placed in a multigrade class increases students inclination to attribute success and failure to external factors.

Table 7. TSLS Estimates of Multigrade Classes on test scores, teachers' marks and locus of control. Schools located in Northern regions

|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ |
| :--- | :---: | :---: | :---: | :---: | :---: |
|  | Literacy Score | Numeracy | Teacher Mark | Teacher Mark | External <br> Locos Control |
|  | Panel A: Two-Stage Least Squares Estimates |  |  |  |  |
| Actual Multigradel | $-5.067^{*}$ | $-9.929^{*}$ | $-0.529^{* *}$ | $-0.617^{* *}$ | $0.516^{*}$ |
|  | $(2.851)$ | $(5.074)$ | $(0.266)$ | $(0.278)$ | $(0.305)$ |
| Class Size | -0.045 | -0.464 | $-0.051^{* *}$ | $-0.064^{* * *}$ | 0.040 |
|  | $(0.240)$ | $(0.420)$ | $(0.022)$ | $(0.023)$ | $(0.026)$ |
| Observations | 8993 | 8993 | 8382 | 8416 | 8889 |
|  | Panel B: First Stage |  |  |  |  |
| Predicted Multigrade | $0.261^{* * *}$ | $0.261^{* * *}$ | $0.247^{* * *}$ | $0.247^{* * *}$ | $0.262^{* * *}$ |
|  | $(0.016)$ | $(0.016)$ | $(0.016)$ | $(0.016)$ | $(0.016)$ |
| Class Size | $-0.031^{* * *}$ | $-0.031^{* * *}$ | $-0.033^{* * *}$ | $-0.033^{* * *}$ | $-0.031^{* * *}$ |
|  | $(0.003)$ | $(0.003)$ | $(0.003)$ | $(0.003)$ | $(0.003)$ |
| First Stage F Statistics | 28.172 | 28.172 | 22.788 | 22.814 | 28.444 |

Notes: The Table reports TSLS estimates. Standard errors (reported in parentheses) are corrected for heteroscedasticity. In all the regressions we control for our full set of controls and for regional dummies ( 20 categories). The symbols ${ }^{* * *}$, **, * indicate that coefficients are statistically significant, respectively, at the 1,5 , and 10 percent level.

One might argue that our results are driven by the selection of students with poorer socio-economic background in multigrade classes: while well off parents have the possibility to enrol their children in schools that offer single grade classes, less advantaged families tend to avoid the commuting costs and let their children to attend the multigrade class offered by the local school. To deal with this issue we have firstly restricted our sample to schools located in mountainous areas ${ }^{21}$ where commuting costs are very high. In this sample the difference in ESCS between students attending multigrade and single grade classes is very small (-0.02) and far from being statistically significant (p_value 0.412 ). As shown in Table 9, our main results remain qualitatively unchanged. As a further check we have analyzed how our estimates react to changes in the measurement error of student socio-economic background. At this aim instead of controlling for the synthetic measure of socioeconomic status (ESCS), we have used different measures of students' background separately and different combinations of them (the number of years of education of fathers and mothers, four dummy variables for the number of books at home, two dummy variables for Father Unemployed and Mother Unemployed). Regardless of the measures of socio economic condition used, students in multigrade classes show a worse performance compared to students in single grade classes, the coefficient is negative and quite stable in magnitude (results not reported and available upon request).

Table 8. TSLS Estimates of Multigrade Classes on test scores, teachers' marks and locus of control. Schools located in mountainous areas

|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ | $(5)$ |
| :--- | :---: | :---: | :---: | :---: | :---: |
|  | Literacy Score | Numeracy | Teacher Mark | Teacher Mark | External <br> Literacy |
|  |  | Score | Numeracy | Locus Control |  |

Notes: The Table reports TSLS estimates. Standard errors (reported in parentheses) are corrected for heteroscedasticity. In all the regressions we control for our full set of controls and for regional dummies ( 20 categories). The symbols $* * *$, **, * indicate that coefficients are statistically significant, respectively, at the 1,5 , and 10 percent level.

As an additional robustness check we have also restricted the sample to municipalities with not more than one school, implying that parents who want to move their child to another school should also change municipality suffering additional costs. As shown in Table 9 results remain substantially unchanged.

[^11]Table 9. TSLS Estimates of Multigrade Classes on test scores, teachers' marks and locus of control. Only municipalities with not more than one school

|  | (1) | (2) | (3) | (4) | (5) |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | Literacy Score | Numeracy Score | Teacher Mark Literacy | Teacher Mark Numeracy | External Locus Control |
| Panel A: Two-Stage Least Squares Estimates |  |  |  |  |  |
| Actual Multigrade1 | $\begin{aligned} & \hline-4.166^{*} \\ & (2.375) \end{aligned}$ | $\begin{gathered} \hline-8.835^{*} * \\ (3.978) \end{gathered}$ | $\begin{aligned} & \hline-0.344^{*} \\ & (0.183) \end{aligned}$ | $\begin{aligned} & \hline-0.348^{*} \\ & (0.188) \end{aligned}$ | $\begin{gathered} \hline 0.358 \\ (0.231) \end{gathered}$ |
| Class Size | $\begin{array}{r} -0.093 \\ (0.213) \\ \hline \end{array}$ | $\begin{array}{r} -0.288 \\ (0.340) \\ \hline \end{array}$ | $\begin{gathered} -0.031 * * \\ (0.016) \end{gathered}$ | $\begin{gathered} -0.040 * * \\ (0.016) \\ \hline \end{gathered}$ | $\begin{gathered} 0.027 \\ (0.021) \\ \hline \end{gathered}$ |
| Observations | 12886 | 12886 | 11920 | 11971 | 12733 |
| Panel B: First Stage |  |  |  |  |  |
| Predicted Multigrade | 0.293*** | 0.293*** | 0.289*** | 0.291*** | 0.292*** |
|  | (0.013) | (0.013) | (0.013) | (0.013) | (0.013) |
| Class Size | -0.027*** | -0.027*** | -0.027*** | -0.027*** | -0.027*** |
|  | (0.003) | (0.003) | (0.003) | (0.003) | (0.003) |
| First Stage F Statistics | 53.792 | 53.792 | 47.643 | 48.484 | 52.968 |

Notes: The Table reports TSLS estimates. Standard errors (reported in parentheses) are corrected for heteroscedasticity. In all the regressions we control for our full set of controls and for regional dummies ( 20 categories). The symbols $* * *$, $* *$, * indicate that coefficients are statistically significant, respectively, at the 1,5 , and 10 percent level.

We now turn to the robustness of our results to an alternative definition of Actual Multigrade. As explained in Section 2, ActualMultigrade 1 misplaces some $5^{\text {th }}$ graders in multigade classrooms in the control group. If the effect of being in a multigrade classroom is negative, such specification underestimates the negative effect. In Table 10 we report results obtained when using as indicator of students being actually placed in a multigrade class the dummy variable Actual Multigrade2. We find qualitatively similar results even if the magnitude of the effects is somehow larger pointing to the fact that when using Actual Multigradel some students actually attending a multigrade class were attributed to the control group. It is, however, worthwhile to notice that also when using ActualMultigrade 2 some $5^{\text {th }}$ graders in single grade classrooms might end up in the treatment group, and then if the effect of being in a multigrade classroom is negative, also such specification underestimates the negative effect.

Table 10. TSLS Estimates of Multigrade Classes on test scores, teachers' marks and locus of control. Alternative definition of Actual Multigrade2
$\left.\left.\begin{array}{lccccc}\hline & (1) & (2) & (3) & (4) & (5) \\ \hline & \text { Literacy Score } & \text { Numeracy } & \text { Teacher Mark } \\ \text { Literacy }\end{array}\right) \begin{array}{c}\text { Teacher Mark } \\ \text { Numeracy }\end{array} \begin{array}{c}\text { External } \\ \text { Locus of } \\ \text { Control }\end{array}\right]$

Notes: The Table reports TSLS estimates. Standard errors (reported in parentheses) are corrected for heteroscedasticity. In all the regressions we control for our full set of controls and for regional dummies ( 20 categories). The symbols $* * *, * *, *$ indicate that coefficients are statistically significant, respectively, at the 1,5 , and 10 percent level.

Finally, instead of using the sample selection procedure described in Section 2, we have focused only on schools that have no more than a classroom for the $5^{\text {th }}$ grade and on municipalities with no more than one school and with less than 4000 inhabitants $\left(35^{\text {th }}\right.$ percentile of the population distribution in our sample). In addition, instead of including population size among control variable, as in previous estimates, we use it to instrument class size. Also considering this sample we find results (not reported) that are consistent with those discussed above.

## 7. Concluding remarks

Multigrade classes allow schools to remain located closer to the families they serve and provide their services at a reasonable cost. However, cost-saving considerations are to be evaluated together with the effects that multigrade classes may produce on student outcomes. In this paper we provide additional evidence of the effects of multigrade classes both on cognitive and non-cognitive skills. We exploit the discontinuous rules that regulate class composition in Italy as a source of exogenous variation in the probability of attending a multigrade class.

We find a negative effect on students' performance both in literacy and numeracy standardized test scores. The effect is particularly pronounced for numeracy test scores: students placed in multigrade classes obtain a lower score (by half standard deviation) when compared to students in single grade classes.

On the contrary, a negative but not statistically insignificant effect is found when looking at marks assigned by teachers. This might depend on the fact that teachers of multigrade classes, aware of the more complex environment faced by their pupils, tend to reward their effort more generously. This is especially true for teachers working in the Southern part of the country, while in schools located in the North multigrade classes harm students' skills also when measured by teacher assessment.

Finally, we show that placing students in multigrade classrooms causes an increase in their tendency to attribute successful and failure situations to factors behind their own control.

Since our results pertain to students attending the $5^{\text {th }}$ grade and who are likely to have attended multigrade classes also in previous years of their educational career (although we do not possess this piece of information), the estimated effects can be interpreted as the cumulative effects of having attended a substantial part of the primary school cycle in a multigrade environment.

This evidence suggests that the use of multigrade classes might produce a number of unintended consequences that are to be managed by school administrators. In order to define effective interventions it would be necessary to understand the mechanisms that drive these negative effects. They could be the result of excessive teachers' workload or lack of training on teacher practices within this peculiar classroom environment. It could also be that relationships among peers works in an asymmetric way, as suggested by

Leveun et al. (2014): in such a case the negative effect we find could be due to having spent the final year with lower grade peers (which on the contrary could have benefited by being exposed to older peers). Understanding which of these channels slows down the learning process of students placed in multigrade classes is an interesting topic for future research.

## Appendix

In Table A. 1 are reported descriptive statistics for the whole sample of $5^{\text {th }}$ grade students 2011-2012.
Table A.1. Descriptive statistics. Whole sample

| Panel (a). Whole sample |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
|  | Mean | St. Dev. | Min | Max | Obs. |
| Actual Multigrade1 | 0.010 | 0.100 | 0 | 1 | 466,897 |
| Actual Multigrade2 | 0.019 | 0.136 | 0 | 1 | 466,897 |
| Predicted Multigrade | 0.020 | 0.139 | 0 | 1 | 473,857 |
| Rasch Literacy Score | 202.669 | 40.588 | -35.360 | 368.097 | 450,179 |
| Literacy Score | 74.448 | 18.587 | 0 | 100 | 473,725 |
| Teacher mark Literacy | 7.623 | 1.148 | 1 | 10 | 408,339 |
| Rasch Numeracy Score | 186.196 | 42.464 | 2.281 | 367.182 | 445,513 |
| Numeracy Score | 52.710 | 21.229 | 0 | 100 | 473,749 |
| Teacher mark Numeracy | 7.701 | 1.189 | 1 | 10 | 408,185 |
| External Locus of Control | 2.202 | 1.641 | 0 | 8 | 457,148 |
| External Locus of Control Positive | 1.310 | 1.138 | 0 | 5 | 461,126 |
| External Locus of Control Negative | 0.895 | 0.951 | 0 | 3 | 465,192 |
| Female | 0.498 | 0.500 | 0 | 1 | 473,857 |
| Regularly Enrolled | 0.949 | 0.219 | 0 | 1 | 473,579 |
| Early Enrolled | 0.017 | 0.131 | 0 | 1 | 473,579 |
| Late Enrolled | 0.033 | 0.179 | 0 | 1 | 473,579 |
| Pre Primary School | 0.182 | 0.386 | 0 | 1 | 473,857 |
| ESCS index | 0.142 | 1.026 | -3.081 | 2.722 | 452,782 |
| Italian Father | 0.805 | 0.396 | 0 | 1 | 473,857 |
| Italian Mother | 0.797 | 0.402 | 0 | 1 | 473,857 |
| Full day | 0.266 | 0.442 | 0 | 1 | 453,341 |
| Number of student enrolled in grade 5th | 20.272 | 4.318 | 1 | 34 | 473,857 |
| Class size | 20.284 | 4.281 | 1 | 34 | 473,857 |
| Southern regions | 0.384 | 0.486 | 0 | 1 | 473,857 |
| Altitude | 172.5189 | 194.45 | 0 | 2035 | 471,117 |
| Population | 210323.8 | 550179 | 106 | 2617175 | 471,117 |

Notes: The data are drawn from the Invalsi websites (downloaded on 7/2/2016)

In Table A.2., Panel (a), are reported descriptive statistics for the whole sample of $5^{\text {th }}$ grade students attending schools that have no more than a classroom in the $5^{\text {th }}$ grade. Panel (b) of Table A.2. reports descriptive statistics for the sample of students placed in single grade classes, while in Panel (c) reports descriptive statistics for students in a multigrade class (Actual Multigrade1).

Table A.2. Descriptive statistics

|  | Panel (a) Whole sample |  |  | Panel (b) Single Grade |  |  | $\begin{gathered} \hline \text { Panel (c) } \\ \text { Actual Multigrade1 } \end{gathered}$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Mean | St. Dev. | Obs. | Mean | St. Dev. | Obs. | Mean | St. Dev. | Obs. |
| Actual Multigradel | 0.042 | 0.202 | 105,442 |  |  |  |  |  |  |
| Actual Multigrade 2 | 0.078 | 0.269 | 105,442 |  |  |  |  |  |  |
| Predicted | 0.058 | 0.233 | 105,442 | 0.030 | 0.169 | 100,963 | 0.695 | 0.461 | 4,479 |
| Multigrade <br> Rasch Literacy <br> Score | 202.246 | 41.058 | 100.003 | 202.577 | 41.039 | 95,953 | 194.399 | 40.729 | 4,050 |
| Literacy Score | 74.229 | 18.649 | 105,442 | 74.451 | 18.469 | 100,963 | 69.210 | 21.732 | 4,479 |
| Teacher Mark | 7.583 | 1.123 | 95,998 | 7.587 | 1.124 | 91,805 | 7.495 | 1.085 | 4,193 |
| Literacy | 7.583 | 1.123 | 95,98 | 7.58 | 1.124 |  | 7.4 | 1.085 |  |
| Rasch Numeracy Score | 182.933 | 42.393 | 98,847 | 183.568 | 42.263 | 94,813 | 168.021 | 42.708 | 4,034 |
| Numeracy Score | 52.541 | 21.278 | 105,442 | 52.696 | 21.257 | 100,963 | 49.041 | 21.441 | 4,479 |


| Teacher Mark | 7.672 | 1.171 | 96,090 | 7.676 | 1.173 | 91,880 | 7.584 | 1.124 | 4,210 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Numeracy <br> External Locus of <br> Control | 2.213 | 1.640 | 102,128 | 2.210 | 1.640 | 97,790 | 2.291 | 1.654 | 4,338 |
| Ext Locus Control <br> Positive | 1.326 | 1.145 | 102,927 | 1.324 | 1.144 | 98,558 | 1.371 | 1.150 | 4,369 |
| Ext.Locus Control <br> Negative | 0.891 | 0.948 | 103,759 | 0.890 | 0.947 | 99,351 | 0.924 | 0.973 | 4,408 |
| Female |  |  |  |  |  |  |  |  |  |

Notes: The data are drawn from the Invalsi websites (downloaded on 7/2/2016)

In Table A3 we report descriptive statistics for the sample used in our main analysis considering Actual Multigrade2

Table A3. Descriptive statistics - Sample used in the main analysis

|  | Panel (b) Single Grade |  |  | $\begin{gathered} \text { Panel (c) } \\ \text { Actual Multigrade2 } \end{gathered}$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Mean | St. Dev. | Obs. | Mean | St. Dev. | Obs. |
| Actual Multigradel Actual Multigrade 2 |  |  |  |  |  |  |
| Predicted Multigrade | 0.167 | 0.373 | 8,756 | 0.575 | 0.494 | 5,534 |
| Rasch Literacy Score | 197.802 | 41.242 | 8,756 | 196.311 | 41.950 | 5,534 |
| Literacy Score | 75.826 | 13.862 | 8,756 | 75.252 | 14.071 | 5,534 |
| Teacher Mark Literacy | 7.468 | 1.111 | 8,057 | 7.516 | 1.105 | 5,143 |
| Rasch Numeracy Score | 175.082 | 41.018 | 8,756 | 171.604 | 41.968 | 5,534 |
| Numeracy Score | 53.378 | 19.489 | 8,756 | 52.254 | 19.767 | 5,534 |
| Teacher Mark Numeracy | 7.557 | 1.152 | 8,076 | 7.609 | 1.152 | 5,176 |
| External Locus of Control | 2.212 | 1.669 | 8,648 | 2.301 | 1.662 | 5,471 |
| Ext Locus Control Positive | 1.347 | 1.162 | 8,648 | 1.390 | 1.162 | 5,379 |
| Ext.Locus Control Negative | 0.893 | 0.961 | 8,516 | 0.942 | 0.968 | 5,426 |
| Female | 0.489 | 0.500 | 8,580 | 0.495 | 0.500 | 5,534 |
| Regularly Enrolled | 0.936 | 0.244 | 8,756 | 0.952 | 0.214 | 5,534 |
| Early Enrolled | 0.018 | 0.134 | 8,756 | 0.010 | 0.099 | 5,534 |
| Late Enrolled | 0.045 | 0.208 | 8,756 | 0.038 | 0.191 | 5,534 |
| Pre Primary School | 0.130 | 0.337 | 8,756 | 0.091 | 0.287 | 5,534 |
| ESCS index | 0.001 | 0.994 | 8,756 | 0.024 | 0.937 | 5,534 |
| Italian Father | 0.849 | 0.358 | 8,756 | 0.852 | 0.355 | 5,534 |
| Italian Mother | 0.833 | 0.373 | 8,756 | 0.829 | 0.377 | 5,534 |
| Full day | 0.169 | 0.375 | 8,756 | 0.148 | 0.355 | 5,534 |
| \# student enrolled in grade 5 | 11.265 | 1.800 | 8,756 | 8.718 | 2.768 | 5,534 |
| Class size | 11.265 | 1.800 | 8,756 | 9.431 | 2.185 | 5,534 |


| Southern regions | 0.405 | 0.491 | 8,756 | 0.341 | 0.474 | 5,534 |
| :--- | ---: | ---: | ---: | ---: | ---: | :--- |
| Altitude | 327.294 | 278.921 | 8,756 | 468.7481 | 295.627 | 5,534 |
| Population | 703.289 | 316.9525 | 8,756 | $74,210.49$ | 34.849 | 5,534 |

Notes: The data are drawn from the Invalsi websites (downloaded on 7/2/2016)

In the following Figures we present a number of school and student characteristics plotted against the number of students enrolled in in $5^{\text {th }}$ grade. Each figure depict enrollment in $5^{\text {th }}$ grade cell means of the predetermined characteristics in the proximity of minimum class size, along with the fitted values of a locally weighted regression which is calculated within each segment. In general, the figures only show small differences at each threshold point.

Figure A1. Discontinuity in the predetermined characteristics


In Table A. 4 we report the OLS estimates corresponding to the IV model estimated in Tables 3 and 4.
Table A.4. OLS Estimates of Multigrade Classes on Literacy and Numeracy Scores

|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| :--- | :---: | :---: | :---: | :---: |
|  | Literacy Score | Rasch Literacy | Numeracy Score | Rasch Numeracy |
|  |  | Score |  | Score |
| Actual Multigrade | $-1.207^{* * *}$ | $-2.274^{*}$ | -1.076 | $-5.483^{* * *}$ |
| Class Size | $(0.437)$ | $(1.349)$ | $(0.746)$ | $(1.442)$ |
|  | 0.102 | $0.506^{*}$ | $0.252^{*}$ | $0.780^{* * *}$ |
| Female | $(0.097)$ | $(0.283)$ | $(0.144)$ | $(0.294)$ |
|  | $-2.674^{* * *}$ | $-7.813^{* * *}$ | $2.216^{* * *}$ | $2.707^{* * *}$ |
| Pre Primary School | $(0.231)$ | $(0.696)$ | $(0.330)$ | $(0.581)$ |
|  | -0.144 | -0.308 | 0.240 | $3.243^{* *}$ |
| Early Enrolled | $(0.397)$ | $(1.171)$ | $(0.588)$ | $(1.294)$ |
|  | $-1.759^{*}$ | -4.715 | -0.116 | $7.139^{* *}$ |
| Late Enrolled | $(1.049)$ | $(3.127)$ | $(1.566)$ | $(3.210)$ |
|  | $-6.638^{* * *}$ | $-17.345^{* * *}$ | $-6.564^{* * *}$ | $-6.988^{* * *}$ |
| Full day | $(0.744)$ | $(1.978)$ | $(0.874)$ | $(1.642)$ |
|  | -0.389 | -0.792 | 0.829 | -1.173 |
| ESCS index | $(0.567)$ | $(1.674)$ | $(0.812)$ | $(1.705)$ |
|  | $2.858^{* * *}$ | $9.488^{* * *}$ | $4.127^{* * *}$ | $5.140^{* * *}$ |
| Italian Father | $(0.142)$ | $(0.417)$ | $(0.199)$ | $(0.420)$ |
|  | $2.145^{* * *}$ | $6.356^{* * *}$ | $2.004^{* * *}$ | $2.682^{* *}$ |
| Italian Mother | $(0.445)$ | $(1.304)$ | $(0.648)$ | $(1.192)$ |
|  | $1.321^{* * *}$ | $5.223^{* * *}$ | $1.566^{* * *}$ | 1.355 |
| Altitude | $(0.398)$ | $(1.190)$ | $(0.583)$ | $(1.102)$ |
| Population | 0.001 | $0.005^{*}$ | $0.004^{* * *}$ | -0.003 |
|  | $(0.001)$ | $(0.003)$ | $(0.001)$ | $(0.003)$ |
| Observations | -0.000 | 0.001 | -0.000 | $0.011^{* * *}$ |

Notes: The Table reports OLS estimates. Standard errors (reported in parentheses) are corrected for heteroscedasticity. In all the regressions we control for regional dummies ( 20 categories, not reported). The symbols $* * *, * *$, indicate that coefficients are statistically significant, respectively, at the 1,5 , and 10 percent level.

## The effects of multigrade classes on Literacy and Numeracy Scores: estimates considering the whole sample

In this section we run our regressions considering the whole sample of $5^{\text {th }}$ grade students attending schools that have no more than one classroom in the $5^{\text {th }}$ grade. This choice has been made in order to reduce the measurement error in our indicator of students who are effectively attending a multigrade class (Actual Multigrade 1) and in order to limit endogeneity problems in class size.

In Table A. 5. we reported the TSLS estimates of the impact of being placed in a multigrade class both on Literacy and Numeracy standardized test scores. We used the same specifications adopted in Table 3 and Table 4 of the paper. However, now we are able to control not only for class size but also for the number of students enrolled in the $5^{\text {th }}$ grade. Even if this is our preferred specification, results do not change when we only control for class size (results not reported and available upon request).
Table A.5. TSLS Estimates of Multigrade Classes on Literacy and Numeracy Scores. Whole Sample

|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Literacy Score | Literacy <br> Score | Rasch Literacy Score | Rasch Literacy Score | Numeracy Score | Numeracy Score | Rasch Numeracy Score | Rasch Numeracy Score |
| Panel A: Two-Stage Least Squares Estimates |  |  |  |  |  |  |  |  |
| Actual | -12.078*** | -8.328*** | -11.091*** | -6.037** | -10.245*** | -8.035*** | -23.947*** | -5.951* |
| Multigrade 1 | (1.451) | (2.365) | (1.802) | (2.896) | (1.319) | (2.183) | (2.240) | (3.645) |
| Class Size |  | -0.489 |  | -1.173** |  | -0.133 |  | -0.178 |
|  |  | (0.389) |  | (0.483) |  | (0.338) |  | (0.503) |
| Observations | 105442 | 105442 | 100003 | 100003 | 105442 | 105442 | 98847 | 98847 |
| Panel B: First Stage |  |  |  |  |  |  |  |  |
| Predicted | 0.470*** | 0.359*** | 0.476*** | 0.366*** | 0.471*** | 0.359*** | 0.479*** | 0.370*** |
| Multigrade | (0.002) | (0.003) | (0.002) | (0.003) | (0.002) | (0.003) | (0.002) | (0.003) |
| Class Size |  | 0.097*** |  | 0.097*** |  | 0.097*** |  | 0.092*** |
|  |  | (0.000) |  | (0.000) |  | (0.000) |  | (0.000) |
| Students Enrolled |  | -0.100*** |  | -0.101*** |  | -0.101*** |  | -0.097*** |
| $5^{\text {th }}$ Grade |  | (0.000) |  | (0.000) |  | (0.000) |  | (0.000) |
| First Stage F Stat. | 846.009 | 407.326 | 763.467 | 375.52 | 846.009 | 407.326 | 755.68 | 373.238 |

Notes: The Table reports TSLS estimates. Standard errors (reported in parentheses) are corrected for heteroscedasticity. In all the regressions we control for our full set of controls and for regional dummies ( 20 categories, not reported). The symbols ***, **, * indicate that coefficients are statistically significant, respectively, at the 1,5 , and 10 percent level.

Table A.6. reports the TSLS estimates of the impact of being placed in a multigrade class both on student achievement in Literacy and Numeracy as measured by marks assigned by teachers. We estimate the same specifications presented in Table 5 of the paper. However, we are now able to control not only for class size but also for the number of students enrolled in the $5^{\text {th }}$ grade. Even if this is our preferred specification, results do not change when we only control for class size (results not reported and available upon request).

Table A.6. TSLS Estimates of Multigrade Classes on grades assigned by teachers

|  | $(1)$ | $(2)$ | $(3)$ | $(4)$ |
| :--- | :---: | :---: | :---: | :---: |
|  | Teacher Mark | Teacher Mark | Teacher Mark | Teacher Mark |
|  | Literacy | Literacy | Numeracy | Numeracy |
|  | Panel A: Two-Stage Least Squares Estimates |  |  |  |
| Actual Multigradel | 0.005 | $0.194^{* *}$ | 0.043 | $0.268^{* * *}$ |
|  | $(0.046)$ | $(0.077)$ | $(0.048)$ | $(0.079)$ |
| Class Size |  | -0.009 |  | -0.016 |
|  |  | $(0.012)$ | $(0.012)$ |  |
| Observations | 95998 | 95998 | 9609 |  |
|  |  | Panel B: First Stage |  |  |
| Predicted Multigrade | $0.473^{* * *}$ | $0.360^{* * *}$ | $0.473^{* * *}$ | $0.360^{* * *}$ |
|  | $(0.003)$ | $(0.003)$ | $(0.003)$ | $(0.003)$ |


| Class Size | $0.096^{* * *}$ | $0.096^{* * *}$ |
| :--- | :---: | :---: |
| Students Enrolled 5 $5^{\text {th }}$ Grade | $(0.001)$ | $(0.001)$ |
|  | $-0.100^{* * *}$ | $-0.100^{* * *}$ |
| First Stage F Stat. |  | $(0.001)$ |

Notes: The Table reports TSLS estimates. Standard errors (reported in parentheses) are corrected for heteroscedasticity. In all the regressions we control for our full set of controls and for regional dummies ( 20 categories, not reported). The symbols ${ }^{* * *}$, **, * indicate that coefficients are statistically significant, respectively, at the 1,5 , and 10 percent level.

In Table A.7. we report the TSLS estimates of the impact of being placed in a multigrade class on the proposed measures of external locus of control. We replicate the same specification introduced in Table 6 of the main text. However, now we are able to control not only for class size but also for the exact number of students enrolled in the $5^{\text {th }}$ grade. Even if this is our preferred specification, results do not change when we only control for class size (results not reported and available upon request).

Table A.7. TSLS Estimates of Multigrade Classes on External Locus of Control. Whole sample

|  | (1) | (2) | (3) | (4) | (5) | (6) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | External | External | External Neg | Externa Neg | Externa Pos | External Pos |
| Panel A: Two-Stage Least Squares Estimates |  |  |  |  |  |  |
| Actual Multigrade 2 | $\begin{aligned} & \hline 0.106^{*} \\ & (0.058) \end{aligned}$ | $\begin{gathered} \hline 0.021 \\ (0.092) \end{gathered}$ | $\begin{aligned} & 0.086^{* *} \\ & (0.033) \end{aligned}$ | $\begin{gathered} \hline 0.066 \\ (0.052) \end{gathered}$ | $\begin{gathered} \hline 0.017 \\ (0.038) \end{gathered}$ | $\begin{aligned} & \hline-0.054 \\ & (0.060) \end{aligned}$ |
| Class Size |  | $\begin{aligned} & -0.013 \\ & (0.016) \end{aligned}$ |  | $\begin{aligned} & 0.010 \\ & (0.009) \end{aligned}$ |  | $\begin{aligned} & -0.024^{* *} \\ & (0.011) \end{aligned}$ |
| Observations | 102,128 | 102,128 | 103,759 | 103,759 | 102,927 | 102,927 |
| Panel B: First Stage |  |  |  |  |  |  |
| Predicted Multigrade | 0.472*** | 0.360*** | 0.472*** | 0.360*** | 0.472*** | 0.360*** |
|  | (0.002) | (0.003) | (0.002) | (0.003) | (0.002) | (0.003) |
| Class Size |  | 0.097*** |  | 0.097*** |  | 0.097*** |
|  |  | (0.000) |  | (0.000) |  | (0.000) |
| Students Enrolled $5^{\text {th }}$ |  | -0.100*** |  | $-0.100 * * *$ |  | -0.100*** |
| Grade |  | (0.001) |  | (0.001) |  | (0.001) |
| First Stage F Stat- | 840.461 | 402.800 | 844.850 | 405.611 | 841.978 | 404.108 |

Notes: The Table reports TSLS estimates. Standard errors (reported in parentheses) are corrected for heteroscedasticity. In all the regressions we control for our full set of controls and for regional dummies ( 20 categories, not reported). The symbols ***, **, * indicate that coefficients are statistically significant, respectively, at the 1,5 , and 10 percent level.

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[^1]:    ${ }^{1}$ A review of earlier studies is provided by Veenman (1995) who surveys 56 papers and concludes that pupils in multigrade classrooms show results that are similar to those reached by pupils in classrooms that track pupils by grade. However, as pointed out by Mason and Burns (1997), many of these studies do not address sorting of pupils and teachers into multigrade classes.

[^2]:    ${ }^{2}$ A reform introduced in the school year 2009-10 increased the minimum size to 15 in hilly and plain areas (leaving the threshold of no less than 10 children in mountain areas and small islands). This reform was rolled out one grade per year, starting with grade 1 . Students considered in our data remain subject to the old rules.
    ${ }^{3}$ The second condition suggests that in each adjacent class there are 6 or 7 students per grade. As a consequence a multigrade class can be formed by joining two adjacent classes while respecting the minimal and maximal thresholds.

[^3]:    ${ }^{4}$ Multigrade classes might also affect other non-cognitive abilities. Unfortunately the data at hand do not provide other measures, such as self- confidence or Big Five personality traits. In addition to the information allowing us to build the indicator of locus of control, the questionnaire includes some questions on students' self-assessment of their ability in numeracy and literacy. We have used this information to build different indicators of self-assessed ability and used as outcome variables, but we do not find any statistical significant effect of multigrade classes.

[^4]:    ${ }^{5}$ Using data on test scores of $2^{\text {nd }}$ grade students we find that being placed in a multigrade class negatively affects student performance. The effect is smaller in magnitude compared to what we find for $5^{\text {th }}$ graders. For $2^{\text {nd }}$ grade students no information is available on non-cognitive skills. Results available from the authors.
    ${ }^{6}$ More precisely we consider students for whom there is available both the Rash Literacy Score and the Numeracy Score. As the literacy and numeracy tests were held on different days if we do not restrict the sample to students undertaking both tests we end up with two slightly different samples for the literacy and numeracy outcomes depending on the number of students that were absent during one of the two tests. Results do not change when using full available samples.

[^5]:    ${ }^{7}$ We have also experimented with a very restrictive definition considering as students attending a multigrade class only students who are enrolled in a school in which there is at least a multigrade class and in which the total number of students enrolled in the school divided by the number of multigrade classes in the school is smaller than the maximum of students allowed for multigrade classes. We find qualitatively the same results reported in the paper but the effects are larger in magnitude.
    ${ }^{8}$ In such a case these scores are standardized to have a mean of 200 and a standard deviation of 40 .
    ${ }^{9}$ As documented by Angrist et al (2017) and Bertoni et al. (2013) many schools follow a "cheating to the test" practice. Since cheating significantly affects the reliability of test scores, INVALSI has developed a statistically solution to purge the data from this problem. This method exploits the statistical properties of the distribution of answers given in classes where the test is taken under the supervision of external examiners (randomly assigned to selected classes and schools with the task of monitoring), and calculates a continuous class-level probability of manipulation (similar to that estimated in Angrist et al. 2017). This probability is based on the variability of intra-class percentage of correct answers, modes of wrong answers, etc.; the resulting estimates are used to "deflate" the raw scores in the test. For a detailed description of the method see INVALSI (2010).
    ${ }^{10}$ These results are not reported for space reasons but are available upon request.

[^6]:    ${ }^{11}$ The correlation between written and oral mark is 0.9619 and 0.9712 for Literacy and Numeracy Scores respectively ( $p$-value 0.000 ).
    ${ }^{12}$ This is the list of questions: "1) The teacher asked you to draw a picture and you did it very well. How did you do?; 2) The teacher asks you to repeat a story you read together in class and you did it very well. How did you do?; 3) On the first day of school, the teacher asks you to tell what you did during the holidays, you tell it so well that all your schoolmates have fun. How did you do?; 4) At the recital at the end of the year you performed your part so well that everyone applauded. How did you do?; 5) The teacher asked you to do a math exercise on the blackboard and you did it very well. How did you do?"
    ${ }^{13}$ This is the list of questions." 1 ) The teacher asks you to write an essay theme, but you make many mistakes. Why? 2) The teacher asks you to repeat a poem you've learned, but you do not remember it very well and make a lot of mistakes. Why? 3) The teacher asks you to do a work for Christmas, but it comes out very bad and you had to do it again. Why?"

[^7]:    ${ }^{14}$ This indicator is built in accordance to the one proposed in the OECD-PISA framework and considers parents' occupation, educational attainment and possession of educational resources at home (for instance, the number of books). For a detailed description see Ricci (2010 ), http://new.sis-statistica.org/wp-content/uploads/2013/09/RS10-SP-The-Economic-Social-and-Cultural-Background-a-continuous-index-for-the-Italian-Students-of-the-fifth-grade.pdf
    ${ }^{15}$ To have information on students enrolled in $4^{\text {th }}$ grade in the academic year 2011-2012, we consider the information provided by the 2012-13 INVALSI wave when these students are in $5^{\text {th }}$ grade (no test is undertaken in fourth grade). Since, as we explain in more detail below, retention is quite rare in Italian primary schools, this number is likely to be quite close to what it was the year before. Then, for multigrade classes we calculate class size summing the number of students in $5^{\text {th }}$ grade to the number of students enrolled in $4^{\text {th }}$ grade: if this number does not reach the minimum class size imposed for multigrade classes we also add the number of students enrolled in $3^{\text {rd }}$ grade, obtained from the 2013-14 INVALSI wave.
    ${ }^{16}$ In the Appendix of the paper (Table A2) we report descriptive statistics for the whole sample of $5^{\text {th }}$ grade students undertaking the INVALSI standardized test and attending schools that have no more than a classroom in the $5^{\text {th }}$ grade.
    ${ }^{17}$ In the Appendix of the paper, Table A3, we report descriptive statistics using the measure Actual Multigrade2.

[^8]:    ${ }^{18}$ In the Appendix of the paper we report a number of figures aimed at analyzing whether our control variable show relevant discontinuities at the cutoff point of 10 students. In these figures we present a number of school and student characteristics plotted against the number of students enrolled in in $5^{\text {th }}$ grade.

[^9]:    ${ }^{19}$ As Early Enrolled, Late Enrolled and Full Day might be bad controls we have also estimated all our models without these controls. Results remain qualitatively unchanged.

[^10]:    ${ }^{20}$ During the day of the INVALSI test $4{ }^{\text {th }}$ grade students are placed in a different classroom and engaged with standard class activities. This implies that $5^{\text {th }}$ grade students in multigrade classes should not suffer the negative spillovers deriving from an environment where some students are not concentrated on the same test.

[^11]:    ${ }^{21}$ Mountainous areas are defined by law 991/1952 which refers both to altitude and economic conditions (see http://www.gazzettaufficiale.it/eli/id/1952/07/31/052U0991/sg). Comparing the altitude of mountainous areas with that of non-mountainous areas we find that the average altitude is of 504 and 163 meters respectively.

