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A general framework for analyzing beta diversity, nestedness and related community-level phenomena based on abundance data

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ABSTRACT

We describe a procedure for evaluating the relative importance of beta diversity, nestedness, and similarity properties of ecological data matrices containing density, cover or biomass scores of species. Our goals are achieved by extension of the simplex approach–originally proposed for presence-absence data–to abundances. Basically, the method involves decomposition of the Marczewski-Steinhaus coefficient of dissimilarity between pairs of sites into two fractions, one derived from differences between total abundance and the other from differences due to abundance replacement. These are contrasted by the similarity function counterpart, known as the Ruzicka coefficient, and are displayed graphically using ternary (or 2D simplex) plots. Interpretation is aided by calculating percentage contributions from these components to the (dis)similarity structure. Measures of replacement and nestedness are new for

abundance data; these are considered complementary phenomena reflecting antithetic ecological processes that are analogous to those operating at the presence-absence level. The method is illustrated by artificial data and a range of actual ecological data sets representing different groups of organisms, different scales and different types of data. While the simplex diagrams and associated coefficients are meaningful by themselves, their comparison with presence-absence based results gives additional insight into data structure and background factors.

Keywords: Marczewski-Steinhaus dissimilarity; Jaccard index; presence-absence; Ruzicka similarity; simplex; turnover.

1. Introduction

Ecological data matrices have long been known as carriers of information on numerous important ecological phenomena, including beta diversity and nestedness. Beta diversity was first defined by Whittaker (1960) as "the extent of change in community composition, or degree of community differentiation, in relation to a complex-gradient of environment, or a pattern of environments". Whittaker (1960) proposed to quantify beta diversity with two broad categories of measures: beta as a pairwise dissimilarity coefficient between sites (Anderson et al., 2006, 2010; Tuomisto 2010a,b) or as the ratio of two inventory diversities measured at different scales (i.e. gamma/alpha; Lande, 1996; Veech et al., 2002; Jost, 2007). Recently, Jurasinski et al. (2009) have named these measures 'differentiation diversity' and 'proportional diversity', respectively. The overwhelming majority of beta diversity functions from both groups apply to presence-absence data (Vellend, 2001; Koleff et al., 2003; Tuomisto, 2010a, b), including the well-known Jaccard similarity index adapted by Whittaker (1960, p. 320) to this purpose. Much less attention is paid to abundance data in beta diversity analysis, although appropriate expressions are wellknown (see e.g., Magurran, 2004).

Nestedness refers to the extent the species of smaller assemblages are a subset of larger assemblages (Atmar and Patterson, 1993). Similarly to beta diversity, earlier definitions of nestedness rely exclusively on presence/absence data (Ulrich et al., 2009) with measures falling into two broad categories: global coefficients such as the nestedness temperature, and averages of pairwise indices (see Podani and Schmera, 2012, for review). The issue of how nestedness may be understood for abundance data has been raised only recently (Galeano et al., 2009; Almeida-Neto and Ulrich, 2011), therefore our knowledge on nestedness properties of actual data is even more limited than on their beta diversity.

Beta diversity and nestedness are not independent features, and their joint evaluation is promising to reveal and explain ecological factors influencing community composition, structure and functioning. Quantification of their relationship was first suggested by Baselga (2010) via decomposition of pairwise presence-absence based dissimilarity into two components. He used the Sørensen dissimilarity index to measure beta diversity, from which a "spatial turnover" component expressed by the Simpson dissimilarity function was distracted to yield a "nestedness resultant" fraction. Podani and Schmera (2011) and Carvalho et al. (2012a,b) proposed an

algebraic decomposition of Jaccard dissimilarity as a measure of beta diversity into a fraction due to species turnover (or replacement) and another due to difference in the number of species (richness difference). Podani and Schmera (2011) considered the second fraction as a contributor to nestedness, in contrast to replacement which indicates processes completely antithetic to nestedness. One advantage of the above manipulations with Jaccard formula is that they can be embedded with ease into a more general theoretical and methodological framework for analyzing pattern in presence-absence data. According to Podani and Schmera (2011), this involves calculating three complementary indices that measure similarity, relative species replacement, and relative richness difference for all pairs of sites via partitioning pairwise gamma diversity into three additive components, and by displaying the results in a two-dimensional simplex diagram, or ternary plot. In this diagram, a point corresponds to a pair of sites, and the shape and position of the point cloud is informative about community pattern. Percentages are especially useful to evaluate the relative importance of beta diversity, nestedness and agreement in species richness in presence-absence data matrices.

As mentioned earlier, evaluating beta diversity and nestedness in abundance data poses no methodological problems, but there is no general conceptual framework available which handles these aspects of abundance pattern simultaneously. The aim of this paper is thus to extend the simplex approach to abundances (cover, density, biomass, etc.) using the Marczewski-Steinhaus coefficient of dissimilarity and its similarity function counterpart, known as the Ruzicka coefficient. First, we present a summary of abbreviations and new definitions, and then present results for artificial and actual community data. These results demonstrate the utility of our approach in comparing features of presence-absence and abundance data for the same set of study sites.

2. Abbreviations, definitions and functions

Let the abundance data for two sites *j* and *k* be presented in vectors \mathbf{x}_j and \mathbf{x}_k . The number of species in the two sites is *n*, while the number of sites in the dataset is *m*. The description of different functions starts with those reflecting proportions, which are analogous to the indices described in Podani and Schmera (2011) for presence absence data. All functions listed below have a theoretical range of [0, 1]. We assume with good reason that no empty sites appear in the data, so that the denominators of functions that follow can never be zero.

The similarity of sites j and k based on abundances of n species is expressed as the Ruzicka (1958) index

$$S_{Ruz(j,k)} = \frac{\sum_{i=1}^{n} \min\{x_{ij}, x_{ik}\}}{\sum_{i=1}^{n} \max\{x_{ij}, x_{ik}\}}.$$
(1)

The numerator is the total amount of abundances in which the two sites agree, while the denominator is the possible maximum agreement, henceforth denoted by T_{jk} . The value of S_{Ruz} is 1 if the two sites have identical values for all species, and zero if a positive score in site *j* is associated with a zero score in site *k*, or vice versa, for every species. In the presence-absence case, S_{Ruz} simplifies to the Jaccard index of similarity. The complement of equation (1) is the Marczewski-Steinhaus coefficient of dissimilarity, which is a metric (see e.g., Levandowsky and Winter, 1971) and is given by the formula

$$\beta_{MS(jk)} = \frac{\sum_{i=1}^{n} |x_{ij} - x_{ik}|}{T_{jk}}.$$
(2)

Set theoretically, the numerator is the symmetric difference of the abundance data representing the two sites (Orlóci, 1978), corresponding to the total amount of abundances in which they differ. β_{MS} reflects the *relativized abundance turnover* between the two sites, which conceptually corresponds to pairwise *beta diversity* for abundances in our framework.

The sum of absolute differences in the numerator of equation (2) can be decomposed into two fractions, which are of central importance in developing the new methodology in this paper. These are analogous to the two fractions obtained from the Jaccard dissimilarity coefficient for presence-absence data (Podani and Schmera, 2011; Carvalho et al., 2012a). The first fraction is the absolute deviation between the site totals and is interpretable ecologically as a reflection of the difference between the carrying capacity of the two sites. This, divided by T_{jk} yields the following quantity

$${}^{a}D_{rel(jk)} = \frac{|\sum_{i=1}^{n} x_{ij} - \sum_{i=1}^{n} x_{ik}|}{T_{jk}}$$
(3)

which is called the *relativized abundance difference* measure. (Superscript *a* distinguishes this function and the forthcoming equations from those applicable to presence-absence data as used in Podani and Schmera, 2011.) Minimum value, i.e., zero is obtained when the site totals are identical. In practice, it never takes the maximum value, that is 1, because this is possible only if one of the sites is completely empty. The complement of relativized abundance difference is the *relativized abundance agreement*, given by the following formula:

$${}^{a}A_{rel(jk)} = \frac{T_{jk} - |\sum_{i=1}^{n} x_{ij} - \sum_{i=1}^{n} x_{ik}|}{T_{jk}}.$$
(4)

The second fraction of the Marczewski-Steinhaus coefficient comes from the sum of abundances in site *j* that are replaced by the same amount of abundances in site *k*, pertaining to completely different species. This is called the absolute abundance replacement for the sites. Division by T_{jk} gives the *relativized abundance replacement* function

$${}^{a}R_{rel(jk)} = \frac{\sum_{i=1}^{n} |x_{ij} - x_{ik}| - |\sum_{i=1}^{n} x_{ij} - \sum_{i=1}^{n} x_{ik}|}{T_{jk}}$$
(5)

for the two sites being compared. Its value is zero when the difference between site totals equals the sum of absolute differences between the abundances - which is possible only if the two sites can be labelled by *j* and *k* such that $x_{ij} \ge x_{ik}$ for all *i*. In words, abundances in one site can exceed the abundances in the other for none of the species. In this case, there are no abundances that are replaced, only surplus (or gain) on one side. The maximum value, 1, reflects a situation in which the sum of absolute differences equals the sum of maxima: it is possible only if site totals are the same and the two sites share no species at all. Ecologically, this value reflects agreement in the carrying capacity of the two sites while environmental conditions are completely different causing maximum floristic dissimilarity.

Now, we introduce a *nestedness concept* for abundance data and define a function for its quantification. Perfect nestedness will be understood as a situation when abundances in one site are not smaller than the abundances in the other for every

species. For example, if two sites are characterized by the following scores for four species

then we can say that site k is perfectly nested in site j, and a meaningful nestedness measure should yield its maximum value. Actually, this is the situation when ${}^{a}R_{rel}$ (Equation 5) is zero. Correspondingly, the complement of relativized abundance replacement serves as a measure of *relativized nestedness*:

$${}^{a}N_{rel(jk)} = \frac{\sum_{i=1}^{n} \min\{x_{ij}, x_{ik}\} + |\sum_{i=1}^{n} x_{ij} - \sum_{i=1}^{n} x_{ik}|}{T_{jk}} \text{ if } \sum_{i=1}^{n} \min\{x_{ij}, x_{ik}\} > 0 , \qquad (6)$$

 $^{a}N_{rel(jk)} = 0$ otherwise.

In other words, nestedness for abudance data is calculated as the sum of similarity and relativized abundance difference. The condition that the sum of minima is larger than zero is necessary, because without overlap there is no nestedness at all in the presence/absence case (Almeida-Neto and Ulrich, 2011) and logic dictates to maintain this condition here as well. If sites with equal totals (a rare coincidence in actual abundance data) are to be excluded from the comparison, the above equation –more precisely, the condition of positive support– modifies to

$${}^{a}N'_{rel(jk)} = \frac{\sum_{i=1}^{n} \min\{x_{ij}, x_{ik}\} + |\sum_{i=1}^{n} x_{ij} - \sum_{i=1}^{n} x_{ik}|}{T_{jk}} \text{ if } \sum_{i=1}^{n} \min\{x_{ij}, x_{ik}\} > 0 \text{ and } \sum_{i=1}^{n} x_{ij} \neq \sum_{i=1}^{n} x_{ik} \text{ , (7)}$$

^{*a*} $N'_{rel(jk)} = 0$ otherwise.

On the analogy of the presence/absence version (Podani and Schmera, 2011) this is called the relativized *strict nestedness* function. Again, identical site totals are exceptional in case of abundances, so that this function is likely to be only of theoretical interest.

3. The SDR simplex for abundances

The sum of three coefficients given above, namely S_{Ruz} , ${}^{a}D_{rel}$ and ${}^{a}R_{rel}$, is always 1, allowing the use of a 2D (two-dimensional) simplex (Podani and Schmera, 2011) which is routinely applied in science to summarize relationships for three quantities which add up to 1. The graphical illustration of the 2D simplex is an equilateral triangle, the so-called *ternary plot* (or triangle plot, simplex plot). In this, the vertices correspond to these three functions, and each pair of sites is represented by a point, with distances from the vertices inversely proportional to the corresponding coefficients. Prepared for all pairs of sites, the point scatter in the ternary plot will reveal the abundance structure in the data in terms of similarity, relativized abundance difference and relativized abundance replacement. Illustration is similar to that of the SDR-simplex proposed for presence-absence data, following the same standard for naming the corners (Fig. 1).

Three 1D simplices can be derived from the 2D simplex, by summing two quantities at a time and using the third coefficient as a contrast. Graphically, it involves projection of points in the diagram to one of the medians of the triangle (Fig. 1). These 1D simplices are as follows:

1) *Beta diversity-* or β -simplex; representing contrast between similarity (equation 1) and dissimilarity (abundance turnover or beta diversity, equation 2),

2) *Abundance agreement-* or *A-simplex;* illustrates contrast between abundance difference (equation 3) and agreement (equation 4),

3) *Nestedness-* or *N-simplex*, is an antithesis between abundance replacement (equation 5) and nestedness (equation 6 or 7).

Recall that decomposition along each of these three simplices involves measurement of complementary terms, for example, similarity is one-complement to dissimilarity. Examining the position of a given point in these simplices offers evaluation of the relative importance of different fractions in determining abundance structure. For example, the closer a point on the N-simplex to the bottom edge, the more deeply nested is one site in the other in terms of abundance values. Closeness to the opposite corner R implies that both sites have large amounts of abundances carried by different species. It has been suggested that these two endpoints are on a gradient that shows the antagonistic relationship between nestedness and replacement. The beta diversity simplex is easy to interpret: closeness to the S vertex implies high similarity of the two sites, whereas closeness to the opposite edge means high dissimilarity, or beta

diversity. The abundance agreement simplex shows how different the sites are in total abundances: closeness to the D corner means large differences, whereas close proximity to the opposite edge shows that the sites in question have similar abundance totals.

3.1 Percentages

Whereas the simplex plots provide efficient graphical illustration of overall data structure, the picture may be incomplete if many points overlap in the diagram (Podani and Schmera, 2011), even though for abundance data the probability of overlaps is considerably smaller. Therefore, it is useful to examine percentage contributions based on the average values of the above functions for all possible pairs of *m* sites in the data.

On the 2D simplex, percentage mean similarity is

$$P\overline{S}_{Ruz} = \frac{200\sum_{j
(8)$$

percentage mean relativized abundance difference:

$$P^{a}\overline{D}_{rel} = \frac{200\sum_{j

$$\tag{9}$$$$

percentage mean relativized abundance replacement

$$P^{a}\overline{R}_{rel} = \frac{200\sum_{j < k}{}^{a}R_{rel(jk)}/T_{jk}}{m^{2} - m}$$
(10)

These three values sum to 100 and, if scaled back to the unit range, determine the centroid of the point cloud in the ternary plot.

Contributions obtained by adding two of the above quantitites at a time are percentage beta diversity for abundances

$$P\overline{\beta}_{MS} = P^a \overline{D}_{rel} + P^a \overline{R}_{rel} \tag{11}$$

the percentage mean abundance agreement

$$P^{a}\overline{A}_{rel} = P\overline{S}_{Ruz} + P^{a}\overline{R}_{rel}, \text{ and}$$
(12)

and the percentage mean nestedness

$$P^{a}\overline{N}_{rel} = P\overline{S}_{Ruz} + P^{a}\overline{D}_{rel} - \frac{200\sum_{j < k} \{{}^{a}D_{rel(jk)}/T_{jk} \text{ if } \sum_{i} \min\{x_{ij}, x_{ik}\} = 0, \text{ otherwise } 0\}}{m^{2} - m}$$
(13)

in which the last term is the *anti-nestedness fraction* of mean relativized abundance difference which does not contribute to nestedness because intersection is 0. Finally, percentage mean strict nestedness for abundances is

$$P^{a}\overline{N}'_{rel} = P^{a}\overline{N}_{rel} - \frac{200\sum_{j < k} \{S_{Ruz(jk)}/T_{jk} \text{ if } \sum_{i} x_{ij} = \sum_{i} x_{ik}, \text{ otherwise } 0\}}{m^{2} - m}$$
(14)

in which the last term refers to the total richness identity fraction calculated from similarities between sites that have exactly the same site totals.

Computer program SDR-abunSimplex has been written to perform the calculations. The program and a short guide may be downloaded from http://ramet.elte.hu/~podani.

4. Artificial examples

The manner the positions of points are influenced by the data is demonstrated by artificial model matrices representing various data structures (insets in Fig. 2). The first example illustrates situations when the points are at the corners. Then, we examine cases in which the points are positioned on the edges of the ternary plot and the final example shows a relatively balanced situation when the points fall inside the triangle.

a) *Corner*: for complete identity of the two sites in question, the similarity is 1, and the corresponding point will be at the S corner of the triangle. When totals for the two sites are identical but the sites have no species in common, we have the situation that all abundances in site 1 are replaced by other species in site 2. Consequently, the point will be at the R corner. In actual data, the D corner is never taken, because it would mean that one site has no abundances at all. In practice, a point can be close to it on the left edge if, for example, the

sites have no species in common, and one of them has much higher abundance values than the other;

- b) *Difference-dominated perfect nestedness:* all points are on the bottom edge, most of them relatively close to the D corner;
- c) *Overlap-dominated perfect nestedness*: all points are on the bottom edge, relatively close to the S corner;
- d) *Anti-nestedness*: if all points are on the left edge, then we have the quantitative analogue of the anti-nestedness situation in presence-absences;
- e) *Site total identity with irregularity*: when all site totals agree, then all points fall onto the right edge, even though there is no trend in the data;
- f) Site total identity with perfect gradient: a special case of abundance agreement is when there is an underlying gradient with continuous partial replacement of abundances between the sites;
- g) *Random*: in general, for randomly assigned scores the points will be scattered around the midregion of the triangle.

An important aspect of the simplex method, namely how the results change when interest is shifted from abundances to presence/absence is also illustrated by artificial examples. It is easy to see that, if a pair of sites is positioned in the R or the D corner, it remains there no matter which type of data is used. Otherwise, the points may move along a particular edge or, in general, in an unpredictable manner when data type is modified (Fig. 3).

- a) On the right edge at which sites with identical totals are positioned, two types of change may happen. The points may be on the edge for the presence/absence data, but then move into the interior in the abundance version, but change in the other direction is also possible (Fig. 3a).
- b) On the left edge, at which site pairs fitting the anti-nestedness model are positioned, moves along the edge are possible only. That is, anti-nestedness for the presence/absence case implies anti-nestedness for the abundances automatically, and vice versa (Fig. 3b).

c) For perfect nestedness, with points on the bottom edge, there is only one constraint. Perfect nestedness for abundances implies that the sites remain perfectly nested even if we reduce the data to presence/absences. However, perfect nestedness in the presence/absence case does not necessarily mean the same relationship for abundances (Fig. 3c). This latter case exemplifies the unsymmetric relationship between the nestedness measures for the two data types. For example, for the following pair of sites

site k is perfectly nested in j in terms of presence/absence ($N_{rel} = 1$), whereas site j is nested, although not perfectly, in k for abundances (${}^{a}N_{rel} = 0.69$).

5. Actual examples

Rock grassland. This data set comes from an extensive study of rock grasslands on the dolomite bedrock of Sas-hill, lying within the city limits of Budapest, Hungary (Podani, 1998). Eighty sample units were selected in the grasslands, representing open rock grassland, closed grassland and slope steppe. Each sample unit consisted of a series of 8 nested quadrats with a common corner, the smallest being 0.5 m x 0.5 m, and the largest 4 m x 4 m, with 0.5 m side increments in between. Percentage cover of vascular plants was recorded within each plot for each size. For the present study, we used only the smallest and the largest quadrat sizes: 0.5 m x 0.5 m, and 4 m x 4 m to demonstrate the effect of extreme quadrat size changes upon the decomposition of beta diversity. For more details, see Electronic supplement.

The influence of measurement and spatial scales on data pattern is obvious (Fig. 4). The position of the point cloud relative to the left edge of the triangle, as well as the percentage contributions (79% and 87.5%, see Table 1) reflect that beta diversity is the highest for small quadrats for both data types. Increase in quadrat size leads to a more balanced situation, with similarity being the highest for presence-absence data. High beta diversity for $0.5 \times 0.5 \text{ m}^2$ quadrats is attributable to the fact that the grassland has a mosaic-like spatial structure, which becomes obscured upon quadrat size increases. Nevertheless, there is considerable robustness in the data because shift

from presence-absence data to abundances provides the same trends for both quadrat sizes: similarity, richness agreement and nestedness decrease, whereas beta diversity, richness difference and replacement increase. A practical conclusion from these observations is that the simplex approach is useful to evaluate scale dependence in the real topographical space (quadrat size) as well as in the conceptual data space (data type).

Epiphyte moss assemblages. The dataset derives from a sampling study of bryophyte assemblages on 90 tree individuals in the Őrség National Park, southwestern Hungary. The trees represented 3 species, *Fagus sylvatica, Carpinus betulus* and *Quercus petraea*, 30 individuals each. The number of moss species detected was 26, each value in the data matrix representing the absolute cover (dm²) of a given species from the soil surface up to 1.5 m height of a tree (Király and Ódor, 2010).

The three components of the 2D simplex, S, D and R are fairly balanced in the presence absence case, suggesting that the spatial distribution of mosses on trees follows no particular pattern (Fig. 5, Table 1). When absolute cover of species is considered, abundance differences are larger while replacement becomes much smaller than in the p-a case. This mutual compensation causes that beta diversity is not influenced much by data type, whilst this is the only case study in this paper in which beta is larger, although slightly, for presence-absences than abundances. Abundance agreement strongly decresases and nestedness greatly increases when data type is changed from presence-absence to cover. These are explained by the dominance of a very few common species in the moss assemblages (mainly *Hypnum cupressiforme*). The overall picture does not change if data are split into three subsets according to the host tree species (results not shown), suggesting that tree species identity is not influential in determining bryophyte distributional pattern in the park.

Danube river macroinvertebrates. The Danube River was sampled at its full length for macroinvertabrate species during the Second Joint Danube Survey in 2007 (see Podani and Csányi, 2010). The number of sample sites selected fairly regularly along the river was 74. A total of 173 species were detected, and their density values were recorded from benthic samples. See electronic supplement for list of species.

It is remarkable that replacement is almost the same for presence-absences and abundances so its complement, nestedness is also invariant for data type (Table 1). For both data types, differences in site totals are fairly large, although replacement

contributes even more to beta diversity, reflecting continuous faunistic turnover along the Danube river. Rearrangement due to a shift in data type is manifested in larger beta diversity (and smaller agreement) for the abundances, easily recognizable on the simplex diagrams (Fig. 6). Contrary to the previous example, however, this can only be explained by extreme abundance variances for several species.

Raba river macroinvertebrates. Density data of benthic macroinvertebrates, i.e., counts, were recorded at 18 sites along the Raba River, Eastern Austria and Western Hungary (Szekeres et al., 2011), yielding a total of 196 taxa, most of them identified at the species level (see Electronic Supplement). Depending on taxa, individual scores may be as high as several thousand.

The simplex diagrams (Fig. 7) clearly illustrate that the macroinvertebrates in the Raba have a completely different presence-absence pattern than in the Danube. Replacement is the dominant process over the entire length of the river, whereas site totals are much more similar than in the Danube (Table 1). For density, the overall picture is similar to the Danube, while the scarcity of points is explained by the much smaller sample size in the Raba study. Beta diversity and nestedness both increase considerably when switching from presence-absences to abundances.

Italian shrubland data. Thirty-five square plots of 1 m x 1m in size were sampled in spring 1994 in a species-poor garrigue community on serpentine soils south of Siena, Tuscany (Chiarucci et al., 1998). The plots were sampled with the point quadrat method (Moore and Chapman, 1986) with a density of 441 pins/m². Species present in a plot but not touched by any pins were recorded with an arbitrary cover of 0.1%. As a result of field work, the total number of species was 31.

The high overall similarity for the presence absence case, and the considerably higher beta diversity (especially the replacement part) for cover (Table 1, Fig. 8) are striking. This is probably because, due to the peculiar chemical properties of serpentine soils with low nutrient levels and high concentrations of potentially toxic elements (such as magnesium, chromium, nickel and cobalt, Chiarucci et al., 1998), these garrigues host a very distinctive flora with relatively stable species composition. Nonetheless, while plant growth is generally limited by the infertility of such soils, the abundance of the dominant species may vary substantially according to the local availability of nutrients and water. The arrangement of points for the cover data is superficially similar to that observed for the Sashegy grasslands at much larger quadrat sizes,

which has to do with the fewer number of species and the overall homogeneity in the garrigue vegetation.

Oribatid mites data. A single site in a dry oak forest in Hungary was sampled 27 times in the same year (i.e., every two weeks in 2009). In the foerna layer (the thin horizon between litter and topsoil), oribatids were collected and were identified at the genus level (Gergócs et al., 2011). The data set contains the number of individuals for each genus (52) at each sampling date and comparisons were made in all possible pairs of sampling dates.

The relatively large overall similarity of sample dates for the presence-absence data (the maximum in this study, Table 1, Fig. 9) is not surprising, and shows that in this single site the fauna is remarkably stable over the year both in structure and in site totals. Nevertheless, the temporal pattern differs with data type because abundance differences are more influential, suggesting temporal fluctuations in the size of oribatid populations.

6. Discussion

Structural features in community level data are routinely expressed in terms of characteristic values, such as beta diversity, nestedness, mean similarity and so on. While the literature abounds in coefficients developed for or adjusted to the presence-absence case, less attention has been paid to abundances. Furthermore, no method was available as yet for comparing the p-a and abundance pattern in the same set of sites in an algebraically and ecologically logical way. The present paper was written to fill this methodological gap. It is the first attempt to define a conceptual and methodological framework for evaluating structure in abundance data by considering comparable and additive components of beta diversity, nestedness and other phenomena of pattern simultaneously. The innovation involves the decomposition of the Marczewski-Steinhaus coefficient of dissimilarity into two fractions and the use of its complement, the Ruzicka index. Since these formulae correspond to functions derived from the Jaccard coefficient used in the presence absence case, the approach is a logical extension of the simplex approach developed by Podani and Schmera (2011).

The essence of the method is to partition the abundance data for a pair of sites into three components: similarity (species abundances in which the two sites agree), difference (the amount by which the total in either site exceeds the total of the other)

and replacement (species abundances in either site replaced by abundances pertaining to *different* species in the other site). After normalization to unit sum, these quantities determine the position of the given site pair in a two-dimensional SDR simplex plot. In this, the scatter of points for all the possible pairs of sites demonstrates data structure in terms of the above three quantities, plus beta diversity (difference + replacement = Marczewski - Steinhaus dissimilarity), nestedness (difference + similarity, with conditions) and abundance agreement (similarity + replacement). In addition to graphical display, percentage contributions provide numerical results for a more quantitative analysis.

To our knowledge, the Marczewski - Steinhaus coefficient, β_{MS} has been suggested newly in this paper for calculating beta diversity in cover, density or biomass data. Of pairwise dissimilarity coefficients, the Bray - Curtis (Magurran, 2004, p. 174) and the Morisita - Horn (Wolda, 1983) indices have received applications to date. Obviously, many other forms of abundance-based dissimilarities are also conceivable as measures of beta diversity, including more complex formulae based on phylogenetic relationships of the constituting species (Lozupone et al., 2007). Historically, abundance data were first used as the starting basis for calculating beta diversity only indirectly, by doing an ordination first and then calculating gradient length as the measure sought (Wilson and Mohler, 1983) – an approach not functional when no obvious gradients exist (but see Anderson et al., 2006, for a multivariate solution). However, the advantage of using β_{MS} against other proposals is that one of its fractions is conceived as a contributor to nestedness as well, establishing a mathematical link between two important ecological concepts.

Our measure of nestedness in abudance data, ${}^{a}N_{rel}$ is derived as the sum of Ruzicka *similarity* and relativized abundance *difference* component of β_{MS} , provided that the first component is nonzero. Previously, only two other approaches had been used for measuring nestedness based on abundances. In a pioneering study, Gaelano et al., (2009) proposed the WINE statistic which is essentially the mean of weighted Manhattan distances calculated over the cells of the data matrix. The result is sensitive to the absolute magnitude of scores, and therefore the data require standardization. Almeida-Neto and Ulrich (2011) suggested a weighted extension of the NODF measure (which is the average of pairwise Simpson similarities, see Podani and Schmera 2012) to abundances (WNODF). In fact, their method derives directly from the original presence-absence version of the coefficient, that is, nestedness for abundances strongly depends on nestedness in presence-absences. As a result, if

nestedness is lacking for the NODF measure, then there is no nestedness for abundances either, as obvious from the example in Figure 2.C in Almeida-Neto and Ulrich (2011):

9	8	7	6	5
8	7	6	5	4
7	6	5	4	3
6	5	4	3	2
5	4	3	2	1

Here neither NODF (if data are reduced to presence-absence) nor WNODF will detect any nested pattern, because sites have equal number of species (i.e. species presences). For the above example, ${}^{a}N_{rel}$ is 1 for all pairs sites (no matter if they are rows or columns) and therefore the matrix proves to be completely nested in terms of abundances (${}^{a}P\overline{N}_{rel} = 100\%$). This agrees well with intuitive expectations, because there is a strictly monotonous change of scores in all columns and all rows of the matrix. Therefore, we feel that rigorous demand of richness difference as a prerequisite to positive nestedness (as expressed by Ulrich and Almeida-Neto, 2012) may prevent us to recognize truly nested patterns in abundance data. Further advantage of our approach is its order-invariance: the same result obtains no matter how the rows and the columns of the matrix are arranged, which is not so for WINE and WNODF. This is important when there is no unique solution for ordering the species and sites in the data.

The third statistic derived from combining two simplex components is abundance agreement, ${}^{a}A_{rel(jk)}$. Such an expression has never been used in ecology, even though it reflects an important ecological property of the community: the similarity of sites in their carrying capacity. The positions of points projected on the A simplex are informative on the distribution of the site totals; the more scattered the points the higher the variance of sites in total abundances.

The utility of our approach is demonstrated by artificial and actual ecological examples. In general, the comparison of results of the analyses based on p-a and abundance data suggests that actual data sets weighted by species abundances may show drastically different picture about community organization when compared to analyses of p-a matrices. While it is often argued that abundances do not express much more than presence-absence data in a multivariate context (e.g., Wilson, 2012), it may very well be true that low beta diversity in presence/absences is associated with large differences in abundances, or vice versa. It is clear, therefore, that the

abundance-based analyses are not simple mathematical extensions of p-a based analyses. While p-a measures are most informative when communities differ primarily by their species composition (e.g. in presence of strong environmental filters), quantitative measures may reveal more subtle differences that are due to the presence of a limiting nutrient source or to responses to a pollutant or other impact. Our examples illustrated only a few cases, while the interpretation of beta diversity, nestedness and other measures for the two different data types for the same set of study objects still remains an interesting challenge in quantitative ecology.

The percentage statistics may represent the basis for significance testing, a topic which was beyond the scope of the present communication. A good starting point may be the study of Ulrich and Gotelli (2010) who propose 14 different null model algorithms for randomizing abundance data matrices. We feel, however, that methods for statistical evaluation of simplex arrangements should first be developed for the presence/absence case, which may then be extended to abundances. We plan to elaborate this topic in the near future.

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Table and figure captions

Datas	set	S	D	R	Beta	Agreement	Antinest.	Nest.
Rock	P/A	21.0	26.6	52.4	79.0	73.4	0.9	46.7
grassland 0.5 m x 0.5 m	Cover	12.5	33.5	54	87.5	66.5	1.1	44.9
Rock	P/A	43.2	23.1	33.7	56.8	76.9	0	66.3
grassland 4 m x 4 m	Cover	27.5	27	45.5	72.5	73	0	54.5
Epiphytic	P/A	30.7	35.6	33.7	69.3	66.2	0.9	63.5
mosses	Abs. cover	34.2	52.5	13.3	65.8	47.4	1.7	85.0
Danube	P/A	22.0	30.4	47.6	78	69.6	0.8	51.7
invertebrates	Density	13.4	39.5	47.1	86.6	60.5	0.5	52.4
Raba invertebrates	P/A	22	13	64	77	87	0	36
invertebrates	Density	12	35	53	88	65	0	47
Italian forests	P/A	47.1	16.0	36.9	52.9	83.9	0	63.1
	Cover	26.1	24.0	49.9	73.9	76.0	0	50.1
Oribatids	P/A	54	27	19	46	81	0	73
	Abund.	37	39	24	63	61	0	76

Table 1. Percentage contributions of various components of pairwise gamma diversity for various data sets for abundances and presence-absences. Nestedness is calculated according to equation (13).

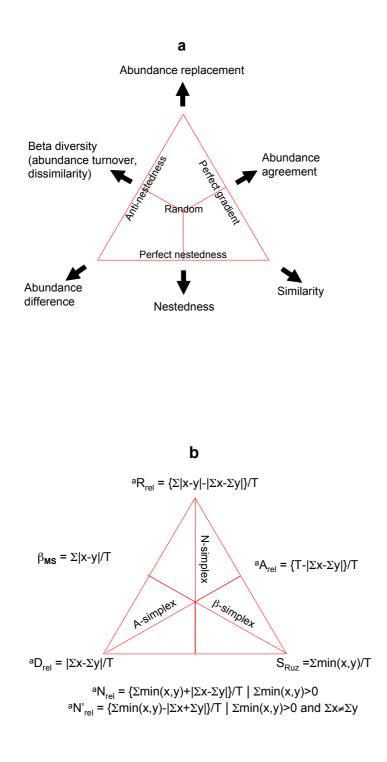


Figure 1. Conceps (a) and calculations (b) associated with the SDR simplex approach for abundances. In figure b, x, y, T and Σ refer to x_{ij} , x_{ik} , T_{jk} and Σ_i , respectively, to simplify illustration.

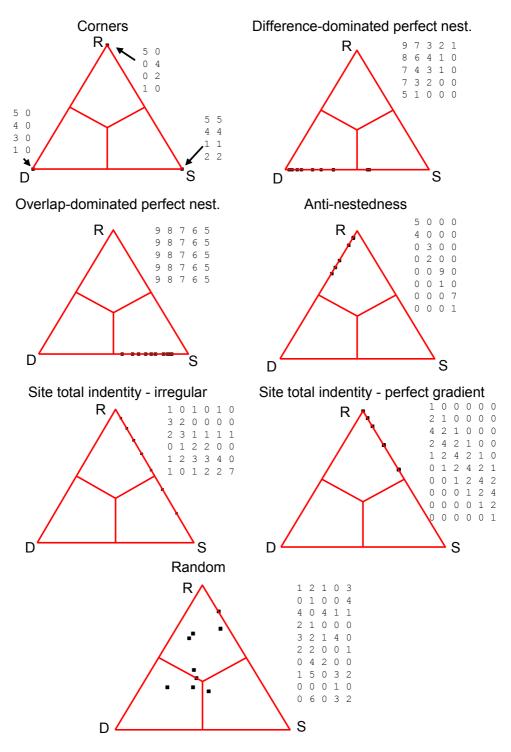


Figure 2. The abundance simplex diagram for model matrices (insets), with species as rows and sites as columns.

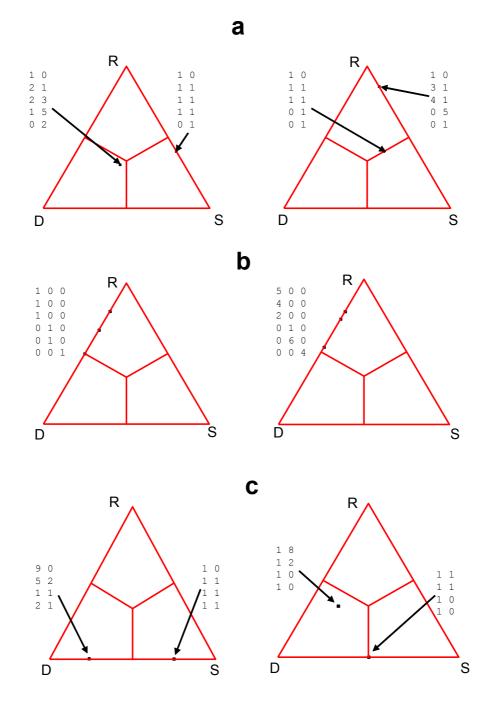


Figure 3. Potential effects of changing data type on the position of points on the edges of the simplex plot. a: identical vs different totals, b: anti-nestedness for both data types, c: nestedness as influenced by abundances. In the data sets species are rows and sites are columns.

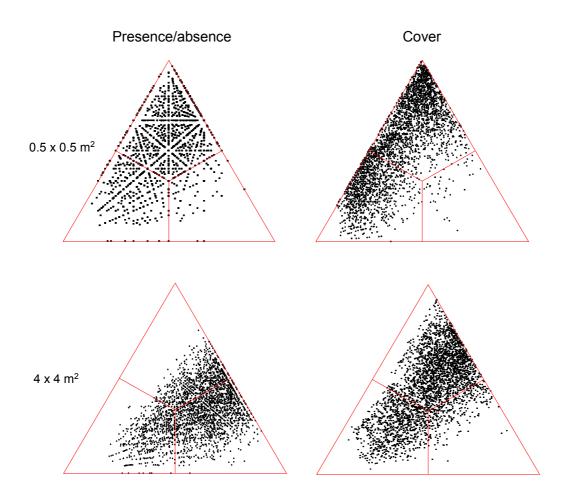


Figure 4. Comparison of results of the SDR simplex method as applied to the Sashegy data for two types of data and two quadrat sizes.

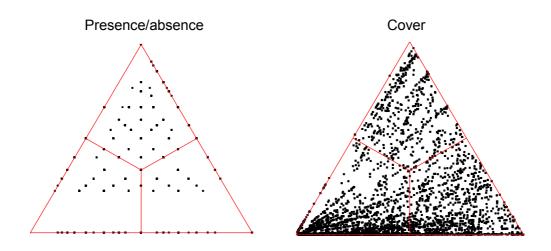


Figure 5. Comparison of results of the SDR simplex for the epiphytic moss data.

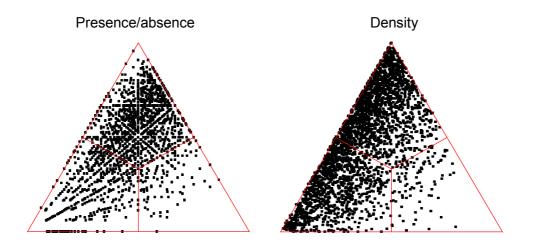


Figure 6. Comparison of results of the SDR simplex for the Danube invertebrates data.

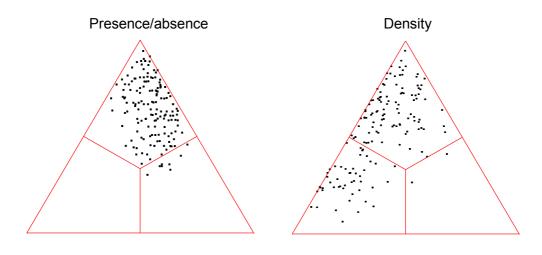


Figure 7. Comparison of results of the SDR simplex method as applied to the Raba invertebrates data.

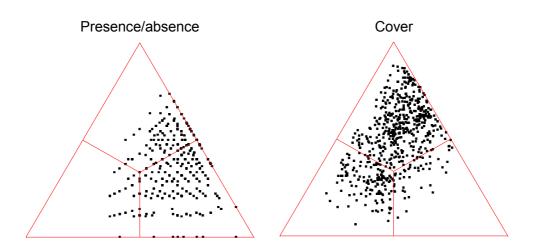


Figure 8. Comparison of results of the SDR simplex method as applied to the Italian shrubland (garrigue) data set.

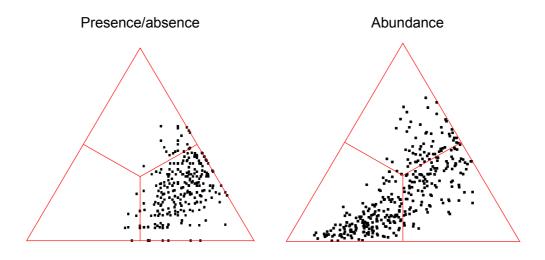


Figure 9. The SDR simplices showing temporal data structure in the oribatid assemblage of the foerna level in the understorey of an oak forest.

Rock grassland study

Eighty sample sites were selected by the first author in the Sashegy Nature Reserve, lying within the city limits of Budapest, in 1976. Percentage plant cover of plants was recorded at each site using eight, nested quadrat sizes. The number of species for the smallest quadrat size, 0.5 m x 0.5 m was 79, which raised to 123 (Table S.2.)for the largest quadrats of size, 4 m x 4 m. The 80 x 123 presence-absence data matrix is available from

Podani, J. and I. Miklós. 2002. Resemblance coefficients and the horseshoe effect in principal coordinates analysis. *Ecology* **83**:3331–3343 . <u>Appendix B</u>: The presence/absence data matrix from the Sashegy Nature Reserve (Budapest, Hungary). *Ecological Archives* E083-062-A2. Available from: http://www.esapubs.org/archive/ecol/E083/062/Sashegy.txt

The abundance data matrix for the smallest plot size is listed in Table S.1 below.

Table S.1. Sashegy grassland data from 0.5 m x 0.5 m quadrats (Podani 1998). Species are in columns and rows are sites, sites taking four lines each.

0 0 0	1 0 0	0 0 0	0 0 0	1 0 0	1 0 0	0 0 0	0 0 0	0 0 0	0 0 0	1 0 0	0 0 0	0 0 0	0 1 0	0 0 0	1 1 0	1 0 0	1 1 0	0 0 0	0 0 0	0 0 0	0 1 0	0 0 0	0 1 0	1 0 0
0	0	0	0	0																				
0	1	0	0	0	0	0	0	0	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
1	0	0	0	0																				
1	1	1	0	2	2	1	2	3	1	0	0	2	0	1	1	1	1	1	1	1	2	0	2	1
3	1	1	0	0	2	0	0	2	0	1	1	1	0	0	2	1	1	2	1	1	0	1	1	0
1 1	1 0	1 0	1 1	0 0	1	1	1	1	1	0	1	1	1	1	1	1	0	1	0	1	0	0	0	0
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0	0	0	0	0	0	0	0	5	0	0	0	3	0	0	0	0	0	0	1	0	0	0	0	0
0	0	2	0	0	0	0	0	0	0	0	0	0	0	2	1	15	15	0	0	0	0	0	1	15
0	3	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
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0 0	0 0	0 0	0 0	0	0	0	0	0	0	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0
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1 1	0 0	0 0	20 0	0 0	0	0	5	2	0	0	0	0	0	0	0	5	0	0	3	0	0	4	0	5
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3 10	0 0	0 2	0 0	0 0	0	0	0	18	90	0	0	0	0	0	25	10	25	0	0	1	0	0	0	0
0	0	2	0	0	0	0 0	0	0	0	0 0	0 0	0	0	0	20	0	20	30	0	25	0	0	0	0
0 0	0 0	0 0	0 0	0 0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0 0	0	0 0	0	0	0 0	0	0	0 0	0	0	0	0	0	0	0	0 0	0 0	0	0	0	0	0	0 1	0 0
0	0 0	0	0 0	0 0	0	0 1	0 0	0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0	0	0 0	0 0	0 0	0 0	0 0	0	0
0 0	0 0	0 0	0 0	0 0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 1	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 5	0 0	0 0	0 0	0 0
0	0	0	0	0																				
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0 0	0 2	0 0	0 0	0 0	1	1	0	0	1	0	0	0	1	1	0	0	0	0	2	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 5	0 0	0 0	0 0	0 0	0 15	0 0	0 0	0 3	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	1 0
0 0	0 0	0 5	0 1	0 0	0	0	5	3	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
10	0	0	0	0	0	0	0	10	2	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0 0	0 0	0 0	0 2	0 0	0	0	0	6	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0 0	1 0	0 0	0 0	2 0	1 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	2 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0
0	0	0	0	0	1	3	0	0	1	1	1	1	2	0	0	0	0	1	0	0	0	0	1	0
1 0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
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1 1	0 0	0 0	0 0	0 0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	1	0	0	0	0	1	0	0	0	0	0	0	0	0	0	0	0
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2 1 0	1 0 0	0 0 0	0 0 0	0 15 0	0 2 0	0 0 0	1 0 0	13 0 1	0 0 5	1 0 0	1 1 1	0 2 0	0 0 0	0 0 0	0 0 0	0 0 0	1 0 0	0 0 0	3 0 0	1 0 0	0 0 0	0 0 0	2 0 0	10 1 0
0 0 0 1	0 0 0	0 0 5 2	0 2 5 0	0 5 0 0	0 0 0	0 1 0	0 2 1	0 2 0	0 0 0	0 0 0	5 0 0	0 0 0	0 1 0	0 4 0	5 0 0	3 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	2 3 0	0 0 0	0 1 0
0 15 2	0 2 1	1 3 1	0 5 8	3 0 55	15 5	5 0	8 0	0 25	5 5	8 15	0 5	5 20	8	3 10	8 25	0 2	4 0	5 10	20 2	2 8	5 15	4 0	10 0	15 4
0 0 0 0	0 0 0 0	4 0 0 0	10 2 0 0	1 5 0 0	5 0 0	1 0 0	3 0 0	5 0 0	0 0 0	5 0 0	1 1 0	1 0 0	2 0 0	3 0 0	0 0 0	3 0 0	0 0 0	0 0 0	1 0 0	5 0 0	2 0 0	2 0 0	0 0 0	5 0 0
0 1 2 8	0 8 1 0	0 8 30 15		0 15 10 0	0 8 10	0 3 15	0 10 5	0 23 0	0 5 25	3 2 25	0 0 15		0 10 1	0 0 30	0 20 15	0 15 2	20 0 10	1 15 0		0 40 10	0 10 15	0 15 15	1 40 5	0 20 6
12 0 0	20 0 0	15 0 0	5 15 0 0	10 15 0	0 0 0	1 0 0	0 0 0	0 0 0	0 0 0	5 0 0	10 0 0	10 0 0	0 0 0	0 0 0	1 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	5 0 0	0 0 0	0 0 0
0 0 0	0 2 0	0 0 0	0 0 0	0 0 0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0 0 2 0	0 0 0 0	0 0 0 0	0 0 1 0	0 0 3 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 1 0	0 0 0	0 0 0	0 2 0	0 2 0	0 0 0	0 4 0	0 4 0	0 0 0	0 2 0	0 0 0	0 0 0	0 1 0	0 0 0	0 0 0
0 0 0 0	0 0 0 5	0 0 0 10	0 0 0 1	6 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0	0 0 20	00	0 0 10	0 0 25	0 0 1	0 0	0 0 0	0 0 0	0 0	0 0 0	0 0 0	0 0 10	00	0 0 0	0 0 0
8 8 0	30 5 0	2 0 12	20 0 10	0 1 5	0 0	0 0	3 0	0 45	10 0	0 0	0 3	0 1	0 10	0 20	0 5	0 5	5 0	0 0	5 3	0 0	2 3	1 3	35 0	0 0
0 0 0 1	0 0 0 0	0 0 0 0	0 0 0 0	0 0 0 0	0 0 0	0 0 0	0 0 1	0 0 0	0 0 0	1 0 0	0 0 0	0 0 1	0 0 0	0 0 2	0 0 0	0 0 2	0 0 0	0 0 1	0 0 0	0 0 1	0 0 0	0 0 0	0 0 0	0 0 0
6 0 0 0	0 0 0 0	0 0 0 0	0 15 0 10	0 0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	10 0 0	0 0 0	0 0 2	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	20 3 0	0 8 0	3 0 0
0 0 0 1	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0
0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 1	0 0 0	0 0 5	0 0 0	0 0 0	0 0 0	0 0 1
0 0 0 0	0 0 0 0	0 0 0 0	2 0 0 0	0 0 0 0	0 0 0	0 0 0	1 0 0	0 1 0	0 1 3	0 0 0	0 0 1	0 0 0	0 0 0	0 0 5	0 0 1	0 0 0	4 2 0	0 0 0	0 0 0	0 1 0	0 0 0	2 0 1	0 0 0	0 0 0
1 5 0 0	1 1 0 0	0 0 0 0	2 0 0 0	0 0 0 1	2 0 0	2 0 0	0 0 0	5 0 0	0 0 0	0 5 0	5 0 0	0 0 2	0 8 0	0 0 0	0 0 4	5 0 3	0 1 3	0 0 0	0 0 0	0 0 3	0 0 0	8 0 1	0 0 10	0 0 0
5 0 0 0	8 0 0 0	1 0 0 0	0 0 0 0	3 0 0 0	2 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	1 1 1	0 0 0	1 0 0	2 0 1	0 0 0	0 0 1	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0
0 0 0 2	0 0 0	0 0 0 0	0 0 0 0	1 0 0 0	0 0 0	5 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	2 0 0	0 0 0	1 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	2 0 0
0 0 0 0	0 0 0 0	0 0 0 0	0 0 0 0	0 0 0 0	0 0 0	0 0 0	0 0 0	0 0 1	0 0 0	0 0 0	0 0 0	0 0 0	0 0 0	0 3 0	0 0 0	0 0 1	0 0 0	0 0 0						
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0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	5	0	0	0
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0 0	1 0	0 0	0 0	2 0	10 0	1 0	0 0	0 0	0 0	0 2	0 0	0 0	0 0	3 0	2 0	1 0	3 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0
0 1	0 0	0 0	0 1	0 1	0	0	0	0	0	1	0	1	1	0	1	0	1	0	0	0	2	1	0	0
1 0	1 0	1 0	0 0	1 0	1 0	1 0	1 0	1 4	1 1	0 1	0 0	1 0	1 0	0 0	1 0	1 0	0 0	0 0	0 0	0 1	0 0	0 0	0 1	1 0
0 0	0 1	0 1	0 1	0 1	0	0	0	1	1	0	0	0	1	1	1	1	1	0	1	0	0	1	0	0
0	0	0	0	0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0
0	0	0	0	0	0	0	0	0	4	2	0	0	0	2	4	2	2	0	1	2	0	0	5	0
10 2	2 0	0 0	0 0	0 1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	5	0
0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	5 0	0 0	0 0	0 3	0 40	0 1	0 0	0 0	0 0	8 0	2 0	0 1	3 0	4 0	0 0	2 0	0 0
0 0	0 0	0 0	0 0	0 0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0 0	0 0	0 0	5 0	0 0	0 0	0 0	0 0	0 1	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	2 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0
0 0	0 0	0 0	0 0	0 0	0	1	0	0	0	0	5	5	1	1	2	1	1	0	0	0	0	1	0	1
0	5	0	0	3	0	0	0	25	1	0	0	0	0	0	0	0	0	2	3	1	0	1	0	0
0 1	0 3	6 5		0 10	1	0	0	3	3	0	0	2	1	3		10	3	0	0	2	0	2	1	1
0 0	6 0	6 1	2 0	0 0	20 0	4 0	0 0	0 3	0 0	5 0	5 0	6 5	4 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0
0 0	0 0	0 0	0 0	0 0	0	5	0	8	0	0	5	20	20	15	6	10	3	1	3	12	2	5	10	0
2 0	0 0	0 0	0 0	0 5	0 0	0 0	0 0	0 0	0 0	0 1	5 1	0 0	5 0	1 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0
0 0	0 0	0 0	2 0	0 0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	2	3	0	5 0	3 0	15 0	0 0	4 0	0 1	1 0	0 0	0 0	0 0	0 0	1 0	0 8	0 1	0 5	0 1	0 0	4 5	0 0	2 0	0 0
0	0	0	0	0	1	0	0	0	0	0	0	2	0	0	0	0	0	0	1	0	3	0	0	0
0 0	0 0	0 0	0 0	0 0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	0	0	0	0	0	0
0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0
0 0	0 0	0 0	0 0	0 0	0	0	0	0	0	0	2	0	0	0	0	0	0	0	0	0	0	0	0	0
0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0
0 0	0 0	0 0	0 0	0 0	0	0	2	0	0	0	0	0	0	0	2	0	0	0	0	0	3	0	0	5
3	0	0	0	0	0	0	0	0	0	0 5	0	2 0	0	0	10 0	0	0	0	0	0	0	0	0	0
1 0		0 15	0	5			0		10				0			0	0	1	3				0	0
0 0	0 20	0	0	0	10 10	0	0 0	0 2	0 0	5 0	0 0	5 0	12 3	5 0	3 25	0 8	0 0	0 3	0 1	0 3	0 8	0 0	0 30	0 0
0 1	2 0	0 0	0 2	0 0	1	1	2	2	0	0	2	0	0	0	0	0	0	0	0	2	0	0	0	0
0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 2	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0
0 0	0 0	0 0	0 0	0 0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	0
0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0
0	0	0	0	0	0	0	0	4	0	0	0	2	0	0	45		20		75	0	0	0	0	0
0	0	0	0	0	0	2	1	2	0	0	0	0	0	0	0	0	0	0	2	0	0	0	0	0
0 0	0 0	0 0	0 0	0 0	0 1	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	2 0	0 0	0 0	0 0
0 0	0 0	0 0	0 0	0 0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 0	0 1	0 0	0 0						
0 0	0 0	0 0	0 0	0 0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0 33	0	0	0	0	0	0	0	0

0	0	0	0	0	0	0	0	0	0	1	0	0	0	0	0	0	0	0	1	0	0	0	0	0
0	0 15	0	0	0	~	~	4.0	~	0	0	~	~	1	0	0	0	0	~	~	0	~	0	~ ~	~
15	10	0	5 0	0	0 0	0	40 0	0 0	0 1	0 0	0 0	0	1	0 10	0	0	0 0	0 0	0 0	0 0	0	0 6	20 0	0 0
10	0	0	0	0	0	0	0	0	1	0	1	0	0	10	0	0	0	0	0	0	0	0	0	0
0	0	1	2	0	0	0	0	0	0	0	T	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	1	0
0	0	0	0	0																				
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	10	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	4	0	0	0	0
0	0	0	0	0																				
0	0	5	2	0	0	0	0	0	0	0	0	0	20	2	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	15	0	0	2	4	0	10	0	1	0	0	0	0	0	0
10	10	0	15	0																				
0	1	0	0	0	2	0	4	0	0	0	1	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	1	0	0	10	0	2	0	0	1	0	0	0	1	0	0
2	0	1	0	0																				
3	3	0	5	5	2	0	5	2	3	2	0	5	0	1	0	5	0	0	0	0	0	0	2	0
0	5	5	0	0	0	1	0	5	4	0	5	10	1	0	0	3	0	1	2	0	20	0	0	1
0 0	0 0	0 15	1 0	15 5	3	0	2	3	0	0	3	0	0	15	0	0	0	0	2	0	3	20	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	2	0	0	0	0
0	0	0	0	0																				
0	0	0	0	0	0	0	0	0	0	0	2	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	2	0	0	5	3	0	0	0	0	0	2	3	0	1	1	0
0	0	0	0	0																				
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	2	0	0	0	0	0	0	0	0	0
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0	0	0	0	0																				

Table S.2. Taxonomic details for 123 species in the Sashegy rock grasslands.

Alliaceae/Allium/1ALLIMOSC
Alliaceae/Allium/2ALLISPHA
Brassicaceae/Alyssum/3ALYSMONT
Poaceae/Botriochloa/4BOTRISCH
Agavaceae/Anthericum/5ANTHLILI
Agavaceae/Anthericum/6ANTHRAMO
Fabaceae/Anthyllis/7ANTHMACR
Caryophyllaceae/Arenaria/8ARENSERP
Asteraceae/Artemisia/9ARTECAMP
Rubiaceae/Asperula/10ASPECYNA
Rubiaceae/Asperula/11ASPEGLAU
Asteraceae/Aster/12ASTELINO
Campanulaceae/Asyneuma/13ASYNCANE
Poaceae/Bromus/14BROMEREC
Apiaceae/Bupleurum/15BUPLFALC
Lamiaceae/Calamintha/i6CALAACIN
Campanulaceae/Campanula/i7CAMPROTU
Campanulaceae/Campanula/i8CAMPSIBI
Brassicaceae/Cardaminopsis/i9CARDAREN
Cyperaceae/Carex/20CAREHUMI

Cyperaceae/Carex/21CARELIPA
Asteraceae/Centaurea/22CENTSADL
Caryophyllaceae/Cerastium/23CERAPUMI
Poaceae/Chrysopogon/24CHRYGRYL
Convolvulaceae/Cuscuta/25CUSCEPIT
Fabaceae/Cytisus/26CYTIHIRS
Caryophyllaceae/Dianthus/27DIANPONT
Caryophyllaceae/Dianthus/28DIANSERO
Fabaceae/Dorycnium/29DORYGERM
Brassicaceae/Draba/30DRABLASI
Boraginaceae/Echium/31ECHIVULG
Brassicaceae/Erysimum/32ERYSODOR
Euphorbiaceae/Euphorbia/33EUPHCYPA
Euphorbiaceae/Euphorbia/34EUPHSEGU
Poaceae/Festuca/35FESTPALL
Poaceae/Festuca/36FESTSULC
Cistaceae/Fumana/37FUMAPROC
Fabaceae/Genista/38GENIPILO
Plantaginaceae/39Globularia/GLOBAPHY
Caryophyllaceae/40Gypsophila/GYPSPANI
Cistaceae/Helianthemum/41HELICANU
Asteraceae/Hieracium/42HIERAURI
Fabaceae/Hippocrepis/43HIPPCOMO
Brassicaceae/Hornungia/44HORNPETR
Asteraceae/Inula/45INULENSI
Asteraceae/Jurinea/46JURIMOLL
Poaceae/Koeleria/47KOELCRIS
Linaceae/Linum/48LINUTENU
Fabaceae/Medicago/49MEDIFALC
Orobanchaceae/Melampyrum/50MELAARVE
Poaceae/Melica/51MELICILI
Caryophyllaceae/Minuartia/52MINUSETA
Caryophyllaceae/Minuartia/53MINUVERN
Orobanchaceae/Odontites/54ODONLUTE
Ruscaceae/Polygonatum/55POLYODOR
Rosaceae/Potentilla/56POTEAREN
Resedaceae/Reseda/57RESELUTE
Rosaceae/Sanguisorba/58SANGMINO
Dipsacaceae/Scabiosa/59SCABCANE
Dipsacaceae/Scabiosa/60SCABOCHR
Asteraceae/Scorzonera/61SCORAUST
Crassulaceae/Sedum/62SEDUALBU
Crassulaceae/Sempervivum/63SEMPHIRT
Apiaceae/Seseli/64SESEHIPP
Apiaceae/Seseli/65SESELEUC
Apiaceae/Seseli/66SESEOSSE
Poaceae/Sesleria/67SESLSADL

Caryophyllaceae/Silene/68SILEOTIT
Lamiaceae/Stachys/69STACRECT
Poaceae/Stipa/70STIPCAPI
Poaceae/Stipa/71STIPERIO
Asteraceae/Taraxacum/72TARALAEV
Lamiaceae/Teuctrium/73TEUCCHAM
Lamiaceae/Teuctrium/74TEUCMONT
Santalaceae/Thesium/75THESLINO
Lamiaceae/Thymus/76THYMPRAE
Apiaceae/Trinia/77TRINGLAU
Plantaginaceae/Veronica/78VEROSPIC
Apocynaceae/Vinca/79VINCHERB
Ranunculaceae/Adonis/80ADONVERN
Poaceae/Agropyron/81AGROINTE
Asparagaceae/Asparagus/82ASPAOFFI
Brassicaceae/Biscutella/83BISCLAEV
Brassicaceae/Brassica/84BRASELON
Asteraceae/Carlina/85CARLINTE
Asteraceae/Centaurea/86CENTMICR
Asteraceae/Centaurea/87CENTTRIU
Rosaceae/Filipendula/88FILIVULG
Plantaginaceae/Linaria/89LINAGENI
Linaceae/Linum/90LINUAUST
Orobanchaceae/Melampyrum/91MELACRIS
Hyacinthaceae/Muscari/92MUSCRACE
Orobanchaceae/Orobanche/93OROBALBA
Orobanchaceae/Orobanche/94OROBMAJO
Apiaceae/Pimpinella/95PIMPSAXI
Poaceae/Poa/96POABULB
Ranunculaceae/Pulsatilla/97PULSGRAN
Lamiaceae/Salvia/98SALVPRAT
Caryophyllaceae/Silene/99SILECONI
Poaceae/Stipa/100STIPPULC
Plantaginaceae/Veronica/101VEROPRAE
Brassicaceae/Arabis/102ARABHIRS
Apocynaceae/Cynanchum/103CYNAVINC
Fabaceae/Cytisus/104CYTIPROC
Rubiaceae/Galium/105GALIVERU
Boraginaceae/Onosma/106ONOSVISI
Plantaginaceae/Veronica/107VEROAUST
Violaceae/Viola/108VIOLARVE
Asteraceae/Achillea/109ACHICOLL
Oleaceae/Fraxinus/110FRAXORNU
Fabaceae/Cytisus/111CYTIAUST
Hyacinthaceae/Ornithogalum/112ORNIGUSS
Rosaceae/Crataegus/113CRATMONO
Asteraceae/Crupina/114CRUPVULG
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Boraginaceae/Lithospermum/115LITHARVE
Caryophyllaceae/Paronychia/116PAROCEPH
Fagaceae/Quercus/117QUERPUBE
Ranunculaceae/Thalictrum/118THALMINU
Berberidaceae/Berberis/119BERBVULG
Fabaceae/Cytisus/120CYTINIGR
Orobanchaceae/Orobanche/121OROBVULG
Brassicaceae/Arabis/122ARABRECT
Iridaceae/Iris/123IRISPUMI

The Joint Danube survey

The number of invertebrate taxa recorded during the Second Joint Danube Survey in 2007 in 74 study sites from Germany to Romania (see Podani and Csányi, 2010) was 173. The analysis was focused the following groups: mollusks, crustaceans, chironomids and insects, while other taxa were represented only by a few species (Table S.3).

Spongilla lacustris
Plumatella fungosa
Planaria lugubris
Acroloxus lacustris
Ancylus fluviatilis
Bithynia tentaculata
Borysthenia naticina
Fagotia acicularis
Fagotia esperi
Gyraulus albus
Holandriana holandrii
Lithoglyphus naticoides
Physa fontinalis
Physella acuta
Planorbis carinatus
Potamopyrgus antipodarum
Radix ovata
Theodoxus danubalis
Theodoxus fluviatilis
Theodoxus transversalis
Valvata piscinalis piscinalis
Viviparus acerosus
Viviparus viviparus
Viviparus sp.
Anodonta anatina
Corbicula fluminalis
Corbicula fluminea
Dreissena bugensis
Dreissena polymorpha
Musculium lacustre
Pisidium amnicum
Pisidium casertanum var. ponderosum
Pisidium henslowanum
Pisidium moitessierianum
Pisidium nitidum
Pisidium subtruncatum

Table S.3. List of species from the Joint Danube Survey

Disidium susimum
Pisidium supinum
Pseudanodonta complanata
Sinanodonta woodiana
Sphaerium corneum
Sphaerium rivicola
Sphaerium solidum
Unio crassus
Unio pictorum
Unio tumidus
Hypania invalida
Oligochaeta Gen. sp.
Criodrilus lacuum
Dina punctata
Erpobdella octoculata
Glossiphonia complanata
Helobdella stagnalis
Lumbricidae Gen. sp.
Piscicola geometra
Stylaria lacustris
Asellus aquaticus
Corophium curvispinum
Jaera istri
Dikerogammarus haemobaphes
Dikerogammarus villosus
Echimogammarus ischnus
Gammarus fossarum
Gammarus roeselii
Obesogammarus obesus
Hemimysis anomala
Katamysis warpachowskyi
Limnomysis benedeni
Paramysis bakuensis
Paramysis lacustris
Astacus leptodactylus
Orconectes limosus
Agraylea sexmaculata
Anabolia furcata
Aphelocheirus aestivalis
Atherix ibis
Athripsodes aterrimus
Baetidae Gen. Sp.
Brachycentrus subnubilus
Brychius elevatus
Caenis luctuosa
Caenis robusta
Calopteryx splendens
Ceratopogonidae Gen. sp.
Cloeon dipterum
Coenagrionidae
Corixidae Gen. Sp.
Cyrnus trimaculatus
Elmidae Gen. Sp. Lv
Enochrus sp. Ad
Ephemerella ignita
Ephemerella sp. Ephoron virgo

Gomphus flavipes
Gomphus vulgatissimus
Gyrinidae Gen. Sp. Lv
Heptagenia sulphurea
Hydropsyche angustipennis
Hydropsyche bulgaromanorum
Hydropsyche contubernalis
Hydropsyche pellucidula
Ischnura elegans
Leuctra geniculata
Limnephilus rhombicus
Lype reducta
Neureclipsis bimaculata
Onycogomphus forcipatus
Orthetrum cancellatum
Platambus maculatus
Platycnemis pennipes
Plectrocnemia conspersa
Potamanthus luteus
Psychomyia pusilla
Rhyacophila nubila
Sialis lutaria
Simulium Gen. Sp.
Tabanidae Gen. Sp.
Bryophaenocladius sp.
Chironomini Gen. sp.
Chironomus (s. str.) nudiventris/ agilis
Chironomus (s. str.) plumosus agg.
Chironomus anthracinus/ riparius agg.
Chironomus cf. anthracinus/ riparius agg.
Chironomus nudiventris/ agilis
Chironomus nuclivenuis, agins Chironomus plumosus agg.
Cladopelma sp.
Cladotanytarsus mancus group
Conchapelopia sp.
Cricotopus (Isocladius) sp.
Cricotopus (Isocladius) sylvestris group
Cricotopus (s. str.) bicinctus (Meigen, 1818)
Cricotopus (s. str.) trifascia Edwards, 1928
Cricotopus tremulus group
Crictopus (Isocladius) sylvestris group
Cryptochironomus defectus (Kieffer, 1913)
Cryptochironomus obreptans/ supplicans
Cryptochironomus rostratus Kieffer, 1920
Cryptochironomus sp.
Diamesa cf. insignipes Kieffer, 1907
Dicrotendipes nervosus (Stæger, 1839)
Dicrotendipes pulsus (Walker, 1856)
Endochironomus sp.
Harnischia sp.
Lipiniella arenicola Shilova, 1960
Microchironomus sp.
Micropsectra sp.
Microtendipes pedellus group
Monodiamesa bathyphila (Kieffer, 1918)
Nanocladius dichromus (Kieffer, 1906)

Parachironomus sp.
Parachironomus arcuatus group
Parachironomus frequens group
Paratanytarsus sp.
Paratrichocladius rufiventris (Meigen, 1830)
Pentaneurini Gen. Sp.
Polypedilum (s. str.) nubeculosum (Meigen, 1804)
Polypedilum (s. str.) nubifer (Skuse, 1889)
Polypedilum (Tripodura) cf. aegyptium Kieffer, 1924
Polypedilum (Tripodura) scalaenum group
Polypedilum (Uresipedilum) convictum (Walker, 1856)
Polypedilum (Uresipedilum) cultellatum group
Polypedilum cf. pedestre (Meigen, 1830)
Polypedilum sp.
Potthastia gaedii group
Procladius (Holotanypus) sp.
Prodiamesa olivacea (Meigen, 1818)
Psectrocladius sordidellus group
Rheocricotopus fuscipes (Kieffer, 1909)
Rheotanytarsus sp.
Stictochironomus sp.
Tanypus sp.
Tanytarsus sp.
Tvetenia discoloripes group
Xenochironomus xenolabis (Kieffer, 1916)

The Raba-river survey

A total of 18 sample sites were selected along the Raba river, 8 sites in the Austrian section and the other ten in Hungary. Macroinvertebrates were collected and then identified at different taxonomic levels (Table S.4) by the Austrian and Hungarian partners in the project. Szekeres et al. (2009) have analyzed the data by ordination methods.

Table S.4. List of Taxa from the Raba river survey

Theodoxus danubialis (C. Pfeiffer, 1828)
Theodoxus transversalis (C. Pfeiffer, 1828)
Viviparus acerosus (Bourguignat, 1862)
Lithoglyphus naticoides (C. Pfeiffer, 1828)
Potamopyrgus antipodarum (J.E. Gray, 1843)
Bithynia tentaculata (Linnaeus, 1758)
Valvata piscinalis (O.F. Müller, 1774)
Lymnaea stagnalis (Linnaeus, 1758)
Radix balthica/labiata
Radix labiata (Rossmässler, 1835)
Physella acuta (Draparnaud, 1805)
Ancylus fluviatilis O.F. Müller, 1774
Planorbarius corneus (Linnaeus, 1758)
Corbicula fluminea O.F. Müller, 1774
Anodonta anatina (Linnaeus, 1758)
Pseudanodonta complanata (Rossmässler, 1835)
Sinanodonta woodiana (Lea, 1834)
Unio crassus Philipson, 1788
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<i>Unio pictorum</i> (Linnaeus, 1758)
Unio tumidus Philipson, 1788
Musculium lacustre O.F. Müller, 1774
Pisidiidae
Pisidium (Cingulipididium) pseudosphaerium J. Favre, 1927
Pisidium (Euglesa) casertanum (Poli, 1791)
Pisidium (Henslowiana) henslowanum (Sheppard, 1823)
Pisidium (Henslowiana) supinum A. Schmidt, 1851
Pisidium (Odhneripisidium) moitessierianum Paladilhe, 1866
Pisidium (Pisidium) amnicum O.F. Müller, 1774
Pisidium (Pseudeupera) subtruncatum Malm, 1855
Sphaerium corneum (Linnaeus, 1758)
Sphaerium rivicola (Lamarck, 1818)
Sphaerium solidum
Hypania invalida Grube, 1860
Piscicola geometra (Linnaeus, 1758)
Piscicolidae
Caspiobdella fadejewi (Epstein, 1961)
Glossiphonia complanata (Linnaeus, 1758)
Glossiphonia paludosa (Carena, 1824)
Glossiphoniidae
Helobdella stagnalis (Linnaeus, 1758)
Haemopis sanguisuga (Linnaeus, 1758)
Erpobdella octoculata (Linnaeus, 1758)
Erpobdella vilnensis (Liskiewicz, 1925)
Erpobdellidae
Trocheta cylindrica Orley, 1886
Corophium curvispinum (Sars, 1895)
Gammarus fossarum Koch, 1835
Gammarus roeselii Gervais, 1835
Asellus aquaticus (Linnaeus, 1758)
Astacidae
Astacus leptodactylus Eschscholz, 1823
Pacifastacus leniusculus (Dana, 1852)
Baetis buceratus Eaton, 1870
Baetis fuscatus (Linnaeus, 1761)
Baetis fuscatus/scambus
Baetis lutheri Müller-Liebenau, 1967
Baetis pentaphlebodes Ujhelyi, 1966
Baetis rhodani (Pictet, 1843)
Baetis scambus Eaton, 1870
Baetis sp.
Baetis vardarensis Ikonomov, 1962
<i>Baetis vernus</i> Curtis, 1834
Baetopus tenellus (Albarda, 1878)
Procloeon bifidum (Bengtsson, 1912)
Procloeon pulchrum Eaton, 1885
Isonychia ignota (Walker, 1853)

Oligoneuriella keffermuellerae Sowa, 1973
Oligoneuriella rhenana (Imhoff, 1852)
Oligoneuriella sp.
Ecdyonurus aurantiacus (Burmeister, 1839)
Ecdyonurus insignis (Eaton, 1870)
Ecdyonurus sp.
Electrogena affinis (Eaton, 1883)
Heptagenia coerulans Rostock, 1877
Heptagenia flava Rostock, 1878
Heptagenia longicauda (Stephens, 1836)
Heptagenia sp.
Heptagenia sulphurea (Müller, 1776)
Rhithrogena beskidensis Alba-Tercedor et Sowa, 1987
Rhithrogena sp.
Habrophlebia lauta Eaton, 1884
Potamanthus luteus (Linnaeus, 1767)
Ephoron virgo (Oliver, 1791)
Ephemera danica Müller, 1764
Ephemerella ignita (Poda, 1761)
Ephemerella mesoleuca Brauer, 1857
Brachycercus harisellus Curtis, 1834
Brachycercus minutus
Caenis luctuosa (Burmeister, 1839)
Caenis luctuosa/macrura
Caenis pseudorivulorum Keffermüller, 1960
Caenis sp. juv.
Calopteryx sp.
Calopteryx splendens (Harris, 1782)
Calopteryx virgo (Linnaeus, 1758)
Platycnemis pennipes (Pallas, 1776)
Ischnura elegans pontica Schmidt, 1938
Gomphidae
Gomphus flavipes (Charpentier, 1825)
Gomphus sp.
Gomphus vulgatissimus (Linnaeus, 1758)
Onychogomphus forcipatus (Linnaeus, 1758)
Ophiogomphus cecilia (Fourcroy, 1758)
Isoperla grammatica (Poda, 1761)
Isoperla sp.
Agnetina elegantula (Klapalek, 1907)
Dinocras cephalotes (Curtis, 1827)
Perla marginata (Panzer, 1799)
Perla marginata/pallida
Leuctra sp.
Nepa cinerea (Linnaeus, 1758)
Aphelocheirus aestivalis (Fabricius, 1794)
Corixidae
Micronecta sp.

Sigara striata (Linnaeus, 1758)
Aquarius najas (De Geer, 1773)
Aquarius paludum (Fabricus, 1794)
Gerridae
Gerris sp.
Gerris lacustris (Linnaeus, 1758)
Platambus maculatus (Linnaeus, 1758)
Elmidae
Elmis maugetii Latreille, 1798
Elmis sp.
Esolus parallelepipedus (Müller, 1806)
Limnius sp.
Limnius volckmari (Panzer, 1793)
Macronychus quadrituberculatus P. W. J. Müller, 1806
Oulimnius tuberculatus (P. W. J. Müller, 1806)
Potamophilus acuminatus (Fabricius, 1792)
Orectochilus villosus (O. F. Müller, 1776)
Hydraena sp.
Chrysomelidae
Pomatinus substriatus (P. W. J. Müller, 1806)
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Sialis lutaria (Linnaeus, 1758)
Osmylus fulvicephalus (Scopoli, 1763) Rhyacophila dorsalis Curtis, 1834
Hydroptila sp.
Cheumatopsyche lepida (Pictet, 1834)
Hydropsyche bulbifera McLachlan, 1878
Hydropsyche contubernalis McLachlan, 1865
Hydropsyche instabilis (Curtis, 1834)
Hydropsyche modesta Navás, 1925
Hydropsyche pellucidula (Curtis, 1834)
Hydropsyche saxonica McLachlan, 1884
Hydropsyche siltalai Doehler, 1963
Hydropsyche sp.
Cyrnus trimaculatus (Curtis, 1834)
Neureclipsis bimaculata (Linnaeus, 1758)
Polycentropus flavomaculatus (Pictet, 1834)
Polycentropus irroratus Curtis, 1834
Lype phaeopa (Stephens, 1836)
Psychomyia pusilla (Fabricius, 1781)
Brachycentrus subnubilus Curtis, 1834
Allogamus auricollis (Pictet, 1834)
Anabolia furcata Brauer, 1857
Chaetopteryx sp.
Halesus digitatus (Schrank, 1781)
Halesus sp.
Halesus tesselatus (Rambur, 1842)
Limnephilidae
Potamophylax cf. luctuosus

Potamophylax rotundipennis (Brauer, 1857)
Goera pilosa (Fabricius, 1775)
Lasiocephala basalis (Kolenati, 1848)
Athripsodes albifrons (Linnaeus, 1758)
Athripsodes sp.
Mystacides azureus (Linnaeus, 1761)
Oecetis notata (Rambur, 1842)
Setodes punctatus (Fabricius, 1793)
Dicranota sp.
Simulium (Boophthora) erythrocephalum (De Geer, 1776)
Simulium (Obuchovia) cf. auricoma
Simulium (Simulium) argenteostriatum Strobl, 1898
Simulium (Simulium) argyreatum Meigen, 1838
Simulium (Simulium) cf. intermedium
Simulium (Simulium) ornatum Meigen, 1818
Simulium (Simulium) reptans (Linnaeus, 1758)
Simulium (Simulium) sp.
Simulium (Simulium) trifasciatum Curtis, 1839
Simulium (Simulium) variegatum Meigen, 1818
Simulium (Wilhelmia) balcanicum (Enderlein, 1924)
Simulium (Wilhelmia) equinum (Linnaeus, 1758)
Simulium (Wilhelmia) lineatum (Meigen, 1804)
Simulium (Wilhelmia) sp.
Athericidae
Atherix ibis (Fabricus, 1798)
Ceratopogonidae
Empididae
Wiedemannia cf. sp.
Antocha sp.
Hexatoma sp.
Limoniidae
Tabanidae
Tipulidae
Bryozoa