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Research Article

Dual-Source Swept-Source Optical Coherence Tomography Reconstructed on Integrated Spectrum

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Dual-source swept-source optical coherence tomography (DS-SSOCT) has two individual sources with different central wavelengths, linewidth, and bandwidths. Because of the difference between the two sources, the individually reconstructed tomograms from each source have different aspect ratio, which makes the comparison and integration difficult. We report a method to merge two sets of DS-SSOCT raw data in a common spectrum, on which both data have the same spectrum density and a correct separation. The reconstructed tomographic image can seamlessly integrate the two bands of OCT data together. The final image has higher axial resolution and richer spectroscopic information than any of the individually reconstructed tomography image.

Optical coherence tomography (OCT) is a powerful imaging technology for producing high-resolution cross-sectional images of the internal microstructure of materials and/or biological samples. It has been widely used in medical imaging and biological testing for more than ten years [1–4]. Swept-source optical coherence tomography (SS-OCT) [5, 6] has significant signal-to-noise ratio and speed advantages over time-domain OCT [7–9], in which, the broadband laser swept source plays an important role. The linewidth and output power of the source determinate the imaging depth and sensitivity of an SS-OCT system. The bandwidth of the light source determine the imaging axial resolution. At current stage, most commercial available swept sources have a bandwidth about 100 nm corresponding to an axial resolution around 7.4 μ m in air.

In some medical applications, when spectral feature appears at a wavelength differing from the central wavelength of the light source or the photo sensor, it could not be investigated by the single-band OCT system. In order to extract more spectral information and enhance the axial resolution, simultaneously imaging at two distinct spectral regions has been demonstrated by time-domain [10], full-field [11], and spectral-domain [12, 13] OCT systems. Actually, in all the reported dual-band OCT systems, the two sets of band data are produced from the same light source. In time-domain OCT, as the depth information is obtained by

means of depth scanning, both the reconstructed images of different bands have the same image dimensions. An effective and practical method for resolution enhancement in dual-beam time-domain OCT had been reported by Baumgartner et al. [14]. For the spectral-domain OCT, as two bands data produced by the same source, the imaging ranges also have the same depth range, if the spectrum data densities of those two bands (associated with linear CCD array, grating device) are the same.

In SS-OCT, the swept source stimulates the OCT system by a series of wavelengths in a time sequence; a photo detector then collects all the responses as Fourier series components of the testing sample. Because the detector is only sensitive to optical power, it loses the phase information in the reflected/back scattered signal. At any moment, the signal detected by sensor can be written as

$$I(k_i) \approx [E_0(k_i) + H(k_i)E_0(k_i)]$$

$$\times [E_0(k_i) + H(k_i)E_0(k_i)]^*, \quad i = 1, 2, 3, 4, \dots, N,$$
(1)

where $E_0(k_i)$ is the electrical field with $i_{\rm th}$ wavenumber sent from the source, $H(k_i)$ represents the sample transfer function, and $I(k_i)$ is the signal generated by the sensor. []* indicates conjugate, and N is the total number of the wavenumbers. Assuming $P_{(ki)} = |E_0(k_i)|^2$, power spectrum

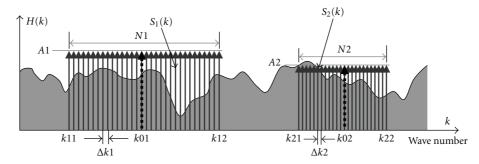


FIGURE 1: Spectrum of two swept sources, $S_1(k)$ and $S_2(k)$, with different parameters: central wavelength (k01, k02); impulse interval ($\Delta k1$, $\Delta k2$); impulse intensity (A1, A2).

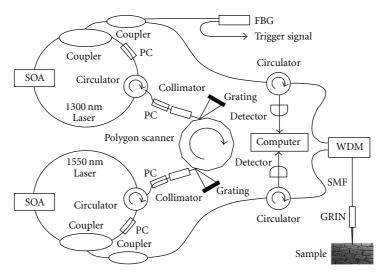


FIGURE 2: Schematic diagram of the dual-source swept-source OCT system. PC: polarization controllers, FBG: fiber Brag grating. SOA: semiconductor optical amplifiers; WDM: wavelength division multiplex; SMF: single-mode optical fiber.

of the light source, the output of OCT system can be expressed by

$$I_{(k_i)} = P_{(k_i)}H^2(k_i) + 2P(k_i)\operatorname{Re}[H(k_i)] + P(k_i).$$
 (2)

Re[H] represents the real part of H. Assuming $P(k_i)$ is an ideal source which has a constant distribution and $H^2(k_i)$ is low frequency component that could be ignored, the processed $I(k_i)$ becomes

$$I_p(k_i) \propto \text{Re}[H(k_i)].$$
 (3)

The reconstruction of the sample in spatial domain (depth z) is performed by an inverse Fourier transform:

$$h(z) = IFT \left[I_p(k_i) \right].$$
 (4)

Because h(z) is the inverse Fourier transform of a real function, it contains a mirror portion. Many works have been done to remove this artifact [15]. The nature of these works is actually to make the intensity signal a complex signal. At any time moment, as (3) and (4) are the results from one

wavelength, when all the $I_p(k_i)$ s with different wavenumbers form a sequence, the internal structure of the sample can then be extracted by

$$h(z) = \text{IFT}[\Sigma_n H(k_i)\delta(k_i - n)], \tag{5}$$

where unit impulse function $\delta(k_i - n)$ is used to separate all Fourier series components with discrete k numbers.

In SS-OCT, each wavelength independently makes its contribution to the reconstruction as a Fourier series component. This feature gives SS-OCT a possibility to increase the bandwidth by combining multiple swept sources that have different central wavelengths. Figure 1 shows two swept sources, $S_1(k)$ and $S_2(k)$, with different parameters: central wavelengths or wave numbers (k01, k02); spectral-line interval ($\Delta k1$, $\Delta k2$); impulse intensity (A1, A2). Spectral-line interval is given by the sweeping speed of the source and sampling rate of the interface. Impulse intensity is given by the output power of the source.

We have built a dual-source SS-OCT system, which is illustrated in Figure 2 [16]. This OCT system consists of

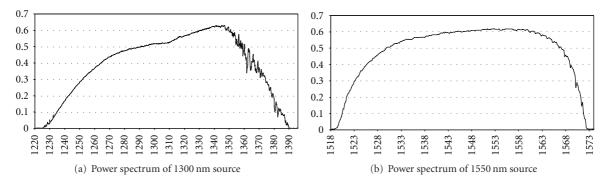


FIGURE 3: Power spectrums of (a) 1300 nm swept source; (b) 1550 nm swept source.

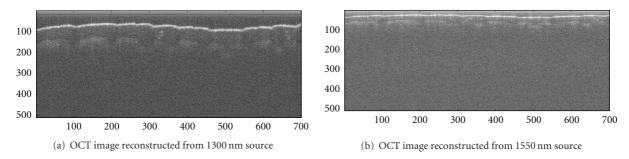


FIGURE 4: OCT images of a finger. (a) Reconstructed by 1300 nm swept source; (b) reconstructed by 1550 nm swept source.

two synchronized swept sources, a wavelength-division multiplexing, and a sharing common path fiber-lensed probe. The dual swept source comprises of two extended ring cavity semiconductor lasers and two high-speed optical narrowband intracavity filters with a single polygonal scanner. The rotating polygon scanner simultaneously tunes the two wavelengths of two lasers synchronously. Two broadband semiconductor optical amplifiers (SOAs) at 1310 nm 1550 nm central wavelengths were used as the cavity gain medium. The inline miniature polarization controller (PC) can reduce cavity lengths. The ratio of the output coupler of 60/40 was used (60% of the power is coupled out) for both cavities, while a 10% output power of 1310 nm band was connected to a fiber Brag grating (FBG) the swept trigger signal. The simultaneous swept laser outputs in 1310 and 1550 nm bands were connected to two matched optical circulators and then connected to a broadband 1310/1550 WDM that outputs two sources into a single-mode optical fiber (SMF). The SMF was fusion-spliced with a home-made GRIN focused lens. The light reflected from the glass-air surface of the GRIN lens, as a reference arm, together with the light reflected from inside sample forms a common-path configuration [17].

The power spectrums of two swept sources are shown in Figures 3(a) and 3(b), and two corresponding OCT images obtained from a human finger are shown in Figures 4(a) and 4(b). It is obvious that two OCT images have different aspect ratios in the imaging depth. In order to merge two OCT images together, one image has to be extended to the same dimension as the other one. One possible way is to find the imaging-depth ratio (IDR) of the two images by comparing two depth ranges of lasers. For a swept source

with a Gaussian-profile spectral envelope, the depth range Δz is given by [18],

$$\Delta z = \frac{\lambda_0^2 N_s}{(4n\Delta\lambda)},\tag{6}$$

where λ_0 is the central wavelength of the swept source, $\Delta\lambda$ is the full-width at half-maximum (FWHM) of the spectral envelope (tuning range), N_s is the number of samples within FWHM range of the $\Delta\lambda$, and n is the group refractive index of the sample.

It is difficult and inaccurate to determine the $\Delta\lambda$ by measuring FWHM of the spectrum, when the shape of the spectrum is irregular rather than a Gaussian profile. For example, if the profile slope at the half-maximum position is very low, a small change of the amplitude may introduce a very large change of $\Delta\lambda$ value. As a matter of fact, the IDR of the two sources based on $\Delta\lambda$ s calculated by FWHM does not reflect the real IDR of two reconstructed OCT images due to the inaccurately measured $\Delta\lambda s$. In order to find the real IDR of two sources, we made a simple experiment with the DS-SSOCT system. A small mirror is placed directly in front of the common path probe, and then the number of the interference fringe peaks in OCT signal of each source is counted. The ratio between two numbers represents the IDR of two OCT images.

For the system used in our experiments, the interference peak number from 1300 nm source is 45, and peak number from 1550 nm source is 18. Therefore, the IDR is 2.5. To verify this method, we have used a testing sample which has 4-layer glass slice. The A-scan OCT images obtained by

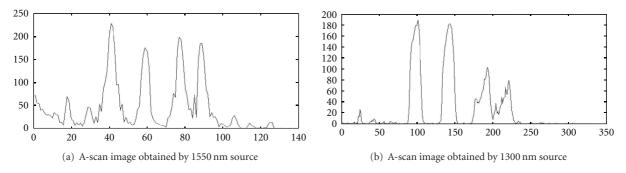


FIGURE 5: A-scan OCT images of a 4-layer glass sample. (a) A-scan image obtained by 1550 nm source; (b) A-scan image obtained by 1300 nm source.

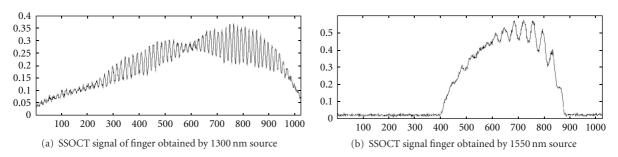


FIGURE 6: Raw SSOCT signals of finger. (a) SSOCT signal of finger obtained by 1300 nm source; (b) SSOCT signal finger obtained by 1550 nm source.

1550 nm source and 1300 nm source are shown in Figures 5(a) and 5(b), respectively. The IDRs of four-peak positions between Figures 5(a) and 5(b) are given by R1 = $101/41 \approx 2.5$; R2 = $143/59 \approx 2.4$; R3 = $193/77 \approx 2.5$; R4 = $221/89 \approx 2.5$. Averagely, we take the IDR as 2.5.

As mentioned above, SS-OCT has capability to increase the bandwidth by combining multiple swept sources that have different central wavelengths. The integrated dualsource SS-OCT spectrum is given by

$$I(kc) = a_1 S_1'(kc) H(kc) + a_2 S_2'(kc) H(kc),$$
 (7)

where kc is the new k scale in the integrated discrete spectrum, and $S'_1(kc)$, $S'_2(kc)$ are scaled $S_1(k)$, $S_2(k)$, in the newly integrated spectrum. In order to adjust contribution of each source, the coefficients a_1 , a_2 are introduced for each source

According to the spatial-spectral scaling property of Fourier transform, to reduce the size in spatial domain, the size in spectral domain must be increased. For the DS-SSOCT described above, considering the IDR is 2.5, the SSOCT signal obtained by 1300 nm source should be scaled up by a factor 5, and the SSOCT signal from 1550 nm should be scaled up by a factor of 2. Here, to scale up a spectrum by a factor s means to zero-padding s-1 zero/s between two neighboring spectral lines. Figures 6 and 7 show the SSOCT signals before and after spectrum scale changes. In Figures 6(a) and 6(b), the spectrums of the two SSOCT signals have different spectral densities: 160 nm/1024 points and 50 nm/480 points for 1300 source and 1550 source, respectively. Figures 7(a) and 7(b) have

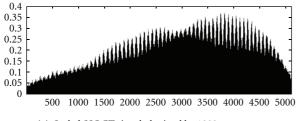
been scaled up, so they have the same spectrum density, that is, the same wavelength difference Δw per interval Δkc in the integrated spectrum. Therefore, their reconstructed images have the same depth dimensions. The Δw per Δkc can be easily calculated by the ending wavelength w_e and starting wavelength w_s as well as the total spectral lines n_s in each source: $\Delta w = |w_e - w_s|/n_s$. The total spectral separation between two SSOCT signals in the integrated spectrum is given by: $n_p = |w_{1e} - w_{2s}|/\Delta w$, where w_{1e} and w_{2s} are ending wavelength of SSOCT from source number 1 and starting wavelength of SSOCT from source number 2, respectively.

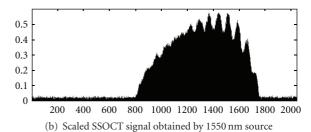
In the DS-SSOCT described above, for the source number 1, 1300 nm swept source, $\Delta w = 162 \text{ nm}/1024$ points (see Figure 3); hence, spectral lines per nm is 6.3. The wavelength separation between two bands: 1550 nm -1300 nm = 250 nm. Considering the scale-up factor of 1300 nm source is 5, the separation spectral lines between two source signals: $250 \times 6.3 \times 5 = 7875 \text{ points}$. Figure 8 shows the integrated spectrum of the DS-SSOCT signal I(kc), where the a1 = a2 = 1, as defined in (7). The final reconstructed OCT image is obtained by

$$h(z) = \log(|\text{Trunc}\{\text{IFT}[I(kc)]\}|), \tag{8}$$

where IFT[] denotes inverse Fourier transform, Trunc means that, in the reconstructed OCT image, only the central piece of (2) is kept, and all other mirror pieces are truncated off, while log() is logarithm processing to nonlinearly emphasize the subtle details.

Figure 9 shows the reconstructed OCT image from the integrated spectrum. Two parts of the SSOCT signals are





(a) Scaled SSOCT signal obtained by 1300 nm source

FIGURE 7: Scaled SSOCT signals of Figure 6. (a) scaled SSOCT signal obtained by 1300 nm source; (b) scaled SSOCT signal obtained by 1550 nm source.

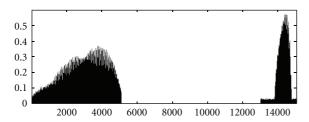


FIGURE 8: Integrated SSOCT signals obtained from two swept sources.

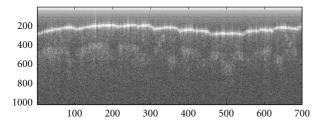


FIGURE 9: OCT image reconstructed from integrated spectrum.

seamlessly integrated together, which has richer spectrum information and depth resolution than any of the individually reconstructed OCT image, since the integrated spectrum has broader bandwidth than other individual two.

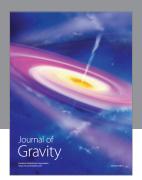
In this paper, a new method for integrating the SSOCT signals produced by a dual-source swept-source OCT system is proposed. The resulting OCT image based on the integrated spectrum contains richer spectral and resolution information than any of the individually reconstructed OCT images. This method can be extended to multiple sources of the synchronized swept-source OCT system.

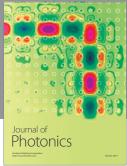
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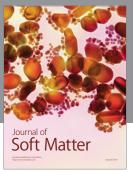
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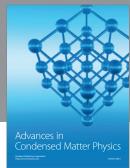
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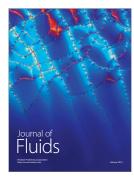
















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