

## Research Article

# Self-Similarity Superresolution for Resource-Constrained Image Sensor Node in Wireless Sensor Networks

Yuehai Wang,<sup>1</sup> Weidong Wang,<sup>1</sup> Shiying Cao,<sup>1</sup> Shiju Li,<sup>1</sup> Li Xie,<sup>1</sup> and Baocang Ding<sup>2</sup>

<sup>1</sup> Department of Information Science and Electronic Engineering, Zhejiang Provincial Key Laboratory of Information Network Technology, Zhejiang University, Hangzhou 310027, China

<sup>2</sup> Department of Automation, School of Electronic and Information Engineering, Xi'an Jiaotong University, Xian 710049, China

Correspondence should be addressed to Li Xie; [xiehan@zju.edu.cn](mailto:xiehan@zju.edu.cn)

Received 30 July 2013; Accepted 18 December 2013; Published 21 January 2014

Academic Editor: Wendong Xiao

Copyright © 2014 Yuehai Wang et al. This is an open access article distributed under the Creative Commons Attribution License, which permits unrestricted use, distribution, and reproduction in any medium, provided the original work is properly cited.

Wireless sensor networks, in combination with image sensors, open up a grand sensing application field. It is a challenging problem to recover a high resolution (HR) image from its low resolution (LR) counterpart, especially for low-cost resource-constrained image sensors with limited resolution. Sparse representation-based techniques have been developed recently and increasingly to solve this ill-posed inverse problem. Most of these solutions are based on an external dictionary learned from huge image gallery, consequently needing tremendous iteration and long time to match. In this paper, we explore the self-similarity inside the image itself, and propose a new combined self-similarity superresolution (SR) solution, with low computation cost and high recover performance. In the self-similarity image super resolution model (SSIR), a small size sparse dictionary is learned from the image itself by the methods such as KSVD. The most similar patch is searched and specially combined during the sparse regulation iteration. Detailed information, such as edge sharpness, is preserved more faithfully and clearly. Experiment results confirm the effectiveness and efficiency of this double self-learning method in the image super resolution.

## 1. Introduction

Wireless sensor networks, in combination with image sensors, open up a grand sensing application field. Visual information provided by image sensor is the most intuitive information perceived by human, especially for recognition, monitoring, and surveillance. Low-cost and resource-constrained image sensors with limited resolution are mainly employed [1–3]. Recovery from low resolution to high resolution is the pressing need for image sensor node. Image super resolution (SR) receives more and more interests recently, which has lots of applications in image sensor, digital cameras, mobile phone, image enhancement, high definition TV [4–6], and so forth. It aims to reconstruct a high-resolution (HR) image from the low-resolution (LR) one based on reasonable assumptions or prior knowledge. From the view of the target HR image, the LR image can be generated after downsampling and some blurring operator.

Hence, the SR work has always been formulated as an inverse problem:

$$Y = \Phi H X + N, \quad (1)$$

where  $X$  is the HR image to be recovered,  $Y$  is the known LR image,  $\Phi$  is the downsampling operator,  $H$  is the blurring operator that minimizes the high frequency aliasing effect, and  $N$  is the noise. Traditionally, the downsampling operator  $\Phi$  and blurring operator  $H$  are conducted at the same time. Hence, we can use the following formulation (2) instead of (1):

$$Y = \mathcal{H} X + N, \quad (2)$$

where  $\mathcal{H} = \Phi H$  is the generalized blurring and downsampling operator. However, the detailed information, especially

the high frequency part, is lost after these two operations. Hence, image super resolution has become a highly under-determined reconstruction problem.

The classical SR solutions are interpolation-based methods, including bilinear, bicubic, spline interpolation and some other improved versions [7, 8]. These methods tend to generate overly smooth HR images with ringing and jaggy effects. Their visual clarity is very limited. Edge preserving and directional interpolators have been proposed to improve the reconstruction image's visual clarity [9–11]. However, the blurring and noises are still obstacles to overcome.

Sparse representation-based SR methods are becoming more popular recently since the issue of sparse representation is consistent with (2). Sparse representation provides a different perspective in solving the underdetermined problems [12–15]. This powerful and promising tool has proven to be effective for a wide range of problems, such as sub-Nyquist sensing of signals and coding, image denoising, and deblurring [16–23]. Several sparse representation based SR algorithms have been proposed with superior results reported [12, 22, 24, 25]. Most of them need training dictionaries based on a large scale external image gallery, which have limited matching degree to the target image and time consuming. Another issue is that the external dictionary depends on the blurring modal with less generality. Self-learning SR algorithms, lately emerged, show that the internal statistics in the image itself often have stronger prediction power than the external statistics and can give more powerful image-specific priors [26, 27].

In this paper, we explore the self-similarity inside the image and propose a new combined self-similarity super resolution (SR) solution, which successfully restores the missing detailed image information. In this self-similarity image super resolution model (SSIR), the patches from the LR image are downsampled firstly to form smaller LR patches (SLR). Small-sized sparse dictionary is learned from the image itself by methods such as KSVD. Then, a most similar patch for the unrecovered LR patch is searched and combined, during the sparse iteration, to preserve the faithful detailed information. Experiment results confirm the effectiveness and efficiency of the double self-similarity learning method in the image super resolution.

The rest of this paper is organized as follows. Section 2 describes our approach of SSIR framework with self-learning dictionary. In Section 3, experiments are taken to compare the proposed method with other ones. The conclusions are finally given in Section 4.

## 2. The Proposed Self-Similarity-Based Image Super Resolution Approach

*2.1. Sparse Representation of Image Super Resolution.* For sparse representation-based SR methods, high resolution image  $X$  can be represented by sparse coefficients  $\alpha$  under dictionary  $D$  as follows:

$$X = D\alpha. \quad (3)$$

Hence, the HR image recovering procedure can be seen as the minimization of the  $l_1$ -norm problem:

$$\hat{\alpha} = \arg \min \|\alpha\|_1 \quad \text{s.t. } Y = \mathcal{H}X = \mathcal{H}D\alpha, \quad (4)$$

where  $Y$  is the LR image and  $\mathcal{H}$  is the generalized blurring and downsampling degradation matrix. The quality of recover HR image is always determined by the details, such as edges and contrast. However, such details are lost when the HR image is downsampled. Hence, small patch based recovery is more popular than the whole image based ones to prevent large scale details losing. We follow the patch based learning strategy in our approach. For  $N \times N$  sized LR image, the atoms in  $D$  are learned by patches sized by  $n \times n$ , where  $n$  can be 8, 10, and so forth. Then the sparse representation (4) can be rewritten as

$$\hat{\alpha}_k = \arg \min \|\alpha_k\|_1 \quad \text{s.t. } y_k = \mathcal{H}x_k = \mathcal{H}D\alpha_k, \quad (5)$$

where  $y$  is the LR patch with size of  $(1/\text{scale}) \times n \times n$ ,  $x_k$  is the HR patch,  $\alpha_k$  is the coefficient of the patch, and  $\mathcal{H}$  and  $D$  are corresponding patch with the size of  $n \times n$ . The image reconstruction scheme based on self-learning dictionary can be presented more intuitively by

$$\hat{\alpha} = \arg \min \|y - \mathcal{H}D\alpha\|_F^2 + \lambda \|\alpha\|_1. \quad (6)$$

*2.2. Internal Dictionary Learning.* Most of the sparse representation SR methods are based on dictionary learning from the external image library [12, 22, 25]. The number of the atoms in dictionary  $D$  should be huge enough to confirm the sparsity of  $\alpha$  and avoid image hallucination and blurring [16]. Normally, the dimension of external dictionary should be above thousand and the recovery time is huge. For various natural images, especially the high-gradient ones, high recover performance could not be easily and fast reached if the dictionary is learned from the outside image gallery. External dictionary approaches are not suitable for the resource-constrained image sensor node. A different idea is that we should make full use of the information inside of the image itself as shown in [26, 27]. The feature of the same structure textures or patterns can be more easily found within the image. For the destination image, the dictionary does not need to be tremendous to mate different kinds of natural images. Inspired by [26, 27], the dictionary  $D$  is learned firstly from LR image in our approach to classify the local structures.

The internal training patches are extracted from LR image and then used to generate an overcomplete dictionary  $D \in R^{n \times n \times K}$  which contains  $K$  atoms. It is assumed that a training patch  $y_{\text{TS}}$  can be represented as  $y_{\text{TS}} = D\beta$ , which satisfies  $\|y_{\text{TS}} - D\beta\| < \varepsilon$ . Hence, the training dictionary is the solution of

$$[D, \beta] = \arg \min \|y_{\text{TS}} - D\beta\| \quad \text{s.t. } \|\beta\|_0 < K. \quad (7)$$

Iterative optimization is used to solve this dictionary training problem. The iteration consists of two basic steps: (1) sparse coding: fix the dictionary  $D$  and search for the sparse representation of  $\beta$  and (2) dictionary update: update

TABLE 1: HR patch, corresponding LR patch, and reconstruction patch under KSVD dictionary.

HR patch								LR patch				Reconstruction patch under KSVD dictionary							
100	99	96	91	90	88	85	83	99	95	89	84	100	99	96	94	91	88	84	84
98	100	98	93	90	87	84	83	98	93	88	85	101	99	96	92	90	86	83	84
99	99	96	92	89	86	85	84	99	94	90	84	100	98	95	92	88	85	84	85
100	96	93	91	89	87	85	85	99	94	87	85	99	97	94	92	90	87	84	85
99	97	95	95	91	88	85	83					100	97	94	93	92	88	85	85
101	99	95	91	91	89	86	84					101	99	96	93	91	88	85	84
101	99	95	91	89	88	86	85					100	99	96	92	89	87	85	84
98	97	96	93	88	85	84	84					99	98	96	92	88	86	86	85

the dictionary atoms  $\{d_j\}_{j=1}^K$  and their corresponding coefficients  $\beta$  one by one. Inspired by [28, 29], we use orthogonal matching pursuit (OMP) algorithm in the sparse coding step and  $K$ -singular value decomposition ( $K$ -SVD) based iterative optimization in dictionary update step, respectively. These two steps run iteratively until the maximum iteration or the convergence is reached.

Typically, the self-learning dictionary size  $K$  is set below 256 in our approach, and we get similar recovery performance with the external dictionary. Detailed comparison is illustrated in Section 3.

**2.3. Self-Similarity Regulation Scheme.** Local image structures in LR image can be classified by the patch dictionary learned from itself. However, detailed information, such as sharp edges and corners, could not be clustered perfectly by limit atoms and may be lost for some extent after downsampled from the HR patch. The following Table 1 demonstrates a real HR patch in Lena, its corresponding LR patch, and reconstruction patch by self-learning KSVD dictionary with 256 atoms. From Table 1, the rich variation between the HR pixels is omitted in LR patch and smoothed in the reconstruction patch. The reason of smooth effect under KSVD dictionary is mainly that the dictionary atoms are trained not only for the special patch, but also for all the patches in the image.

Hence, accurate reconstruction for each patch is tough even under the sparse self-learning dictionary. More prior information should be incorporated into the recover procedure to improve the HR image quality. Several additional parameters have been studied such as frequency, histogram, low-pass, nonlocal means constraints [22, 25]. Unlike these statistic constraints, we consider true information inside of the image as the regulation index.

As aforementioned, distinct edges and corners become blur after downsample operation. The information loss phenomenon appears when the HR image is downsampled to LR image. Similar information loss phenomenon also appears when the LR image is down-sampled to an even lower resolution image. The lost information during the latter procedure can be recovered from the image before down-sample. It provides a learning way to recover more realistic HR patches. A new self-similarity regulation scheme is proposed based on finding image patch similar to the

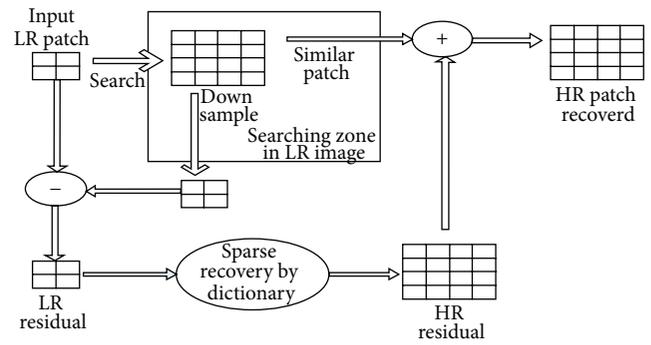


FIGURE 1: Self-similarity regulation step.

destination HR patch. The new sparse regulation scheme can be formulated as

$$\hat{\alpha} = \arg \min \|y - \mathcal{H}D\alpha\|_F^2 + \lambda\|\alpha\|_1 + \gamma_{\text{similar}}\|J(\alpha)\|_1, \quad (8)$$

where  $\gamma_{\text{similar}}$  is the regulation threshold and  $J(\alpha)$  is the similarity prior. We divide the whole sparse regulation into two steps: self-similarity regulation and sparse dictionary regulation. The self-similarity regulation step can be seen as an internal regulation step to compensate the sharpness of the edges. The sparse dictionary regulation step provides the basic framework to enlarge the LR image.

The detailed self-similarity regulation step is described in Figure 1. Firstly, the input unrecovered LR patch, named as  $y_{\text{LR}}$ , is upscaled by bicubic operator. Then, a similar HR patch of the same up-scaled size, named as  $S_{\text{HR}}$ , is searched around the LR patch  $y_{\text{LR}}$  inside of LR image  $Y$ . If a similar HR patch  $S_{\text{HR}}$  is found, we can get its corresponding down-sampled LR patch  $S_{\text{LR}}$ . The true HR patch  $x_{\text{HR}}$  is approximated by the similar HR patch  $S_{\text{HR}}$ . This recovered HR patch  $\tilde{x}_{\text{HR}}$  coming from real pixels can be closer to the ground truth  $x_{\text{HR}}$  than that recovered by statistic constraints studied previously. During approximation, the similar down-sampled LR patch  $S_{\text{LR}}$  is firstly subtracted from the unrecovered LR patch  $y_{\text{LR}}$ . Then, the above difference is estimated from the residual  $RS_{\text{LR}}$  by the self-learning sparse dictionary, which is named as  $RS_{\text{HR}}$ . At last, the recovered HR patch  $\tilde{x}_{\text{HR}}$  is computed by adding the similar patch  $S_{\text{HR}}$  and the difference estimation  $RS_{\text{HR}}$ . The well-known sparse regulation methods,

Input: LR image  $Y$ , LR image patches' size  $m$  and HR image patches' size  $n$ , the degradation matrix  $\mathcal{H}$ .  
Output: HR image  $X$

*Step 1.* Extract patches  $y_{LR} \in R^m$  from LR image  $Y$ , follow the raster-scan order, and start from the upper-left corner (some pixel overlap in each direction is allowed).

*Step 2.* Recover HR image patches  $x_{HR}$  iteratively by Steps 2.1 and 2.2, until the maximum iteration times or convergence is reached.

*Step 2.1* Self-similarity regulation step:

*Step 2.1.1.* Use bicubic method to up scale the unrecovered LR patch  $y_{LR}$  to the same size  $n$  as HR patch, defined as  $y_{HR}$ .

*Step 2.1.2.* Searching for a similar  $n$  sized patch in  $y_{LR}$ 's neighbor:

*Step 2.1.2.1.* Compute each searching patch's SSE as the self-similarity prior  $J(\alpha)$ ,

$$J(\alpha) = \text{SSE} = \sum_l \sum_k (B_{lk} - \hat{B}_{lk})^2$$

*Step 2.1.2.2.* Find the least SSE patch, and compare its SSE with the adaptive threshold  $\alpha \text{Var} + \beta$ . If  $\text{SSE} < \alpha \text{Var} + \beta$ , define this least SSE patch as the similar patch  $S_{HR}$ .

*Step 2.1.3.* Use degradation matrix  $\mathcal{H}$  to down sample similar patch  $S_{HR}$ , define as  $S_{LR}$ .

*Step 2.1.4.* Subtract  $S_{LR}$  from LR patch  $y_{LR}$ , and get the residual  $RS_{LR} = y_{LR} - S_{LR}$ .

*Step 2.1.5.* Recover the residual  $RS_{LR}$  to  $RS_{HR}$  using IRLS algorithm according (9).

*Step 2.1.6.* Add the  $RS_{HR}$  to  $S_{HR}$ , according to (10).

*Step 2.2* Sparse dictionary regulation step: update  $\tilde{x}_{HR}^{j+1}$  according to (11).

*Step 3.* Ensemble all  $\tilde{x}_{HR}$  to recover HR image  $X$  (if there is pixel overlap, the weighted average method is needed).

ALGORITHM 1: Self-similarity regulation scheme.

like IRLS and OMP, can be used in the recovery procedure [27–30].

The above self-similarity regulation step can be represented as

$$RS_{HR}^l = D_H * \text{IRLS}(y_{LR} - \mathcal{H}S_{HR}^l, D_L), \quad (9)$$

$$\tilde{x}_{HR}^{l+1/2} = S_{HR}^l + RS_{HR}^l,$$

where  $l$  is the current iteration index,  $S_{HR}^l$  is the most similar patch found in  $l$ th iteration,  $RS_{HR}^l$  is the recovered difference between  $S_{HR}^l$  and  $\tilde{x}_{HR}$ ,  $\tilde{x}_{HR}^{l+1/2}$  represents updated  $\tilde{x}_{HR}$ , and  $D_L$  and  $D_H$  are dictionary trained for low-resolution patch and high-resolution patch, respectively.

We introduced sum square error (SSE) as the self-similarity prior  $J(\alpha)$  and use it to decide which patch is the most matching one. The definition of the SSE is given by

$$J(\alpha) = \text{SSE} = \sum_l \sum_k (B_{lk} - \hat{B}_{lk})^2, \quad (10)$$

where  $B_{lk}$  is the pixels taken from  $y_{LR}$  neighbor patch in the searching zone and  $\hat{B}_{lk}$  is the pixels taken from the bicubic up-scaled patch  $y_{HR}$ . Both have the same size as the output HR patch  $\tilde{x}_{HR}$ . The patches we searched for come from the LR image, so the fidelity can be guaranteed.

Sparse threshold  $\gamma_{\text{similar}}$  is used to decide whether a patch is similar to destination HR patch.  $\gamma_{\text{similar}}$  is adaptive to  $y_{LR}$ , instead of being a fixed value. The adaptive threshold  $\gamma_{\text{similar}}$  is defined as  $\alpha \text{Var} + \beta$ , where  $\text{Var}$  is variance of the processing patch  $y_{LR}$  and  $\alpha, \beta$  are associated parameters. If the minimum  $J(\alpha)$  within the searching zone is smaller than  $\gamma_{\text{similar}}$ , its corresponding patch is named as the most similar patch  $S_{HR}$ .

The sparse dictionary regulation step is then performed under self-learned dictionary, which can be represented by

$$\tilde{x}_{HR}^{j+1} = \tilde{x}_{HR}^{j+1/2} + \lambda D_H * \text{IRLS}(y_{LR} - \mathcal{H}\tilde{x}_{HR}^{j+1/2}, D_L). \quad (11)$$

The above two regulation steps are performed until the maximum iteration times or the convergence is reached.

The procedure of self-similarity regulation scheme is described in detail by Algorithm 1.

**2.4. Overall Diagram of Self-Similarity Based Image Super Resolution Approach.** After all the analyses above, the overall diagram of self-similarity based image super resolution approach is shown in Figure 2. Firstly, the input LR image  $Y$ , regarded as a down-sampled version from corresponding HR image  $X$ , is segmented into patches  $y_{LR}$ . Then the sparse representation dictionaries  $D_L$  and  $D_H$  are trained by these internal patches. Next, the self-similarity regulation scheme is applied to find a matching patch  $S_{HR}$ . Afterwards, HR patch  $\tilde{x}_{HR}$  is recovered by sparse regulation based on the self-learning dictionary. At last, we ensemble all these recovered HR patches  $\tilde{x}_{HR}$  to get a high-quality HR image  $X$ .

### 3. Experimental Results

**3.1. Experimental Background.** In this section, several experimental results for the proposed method are given. All the simulations are conducted in MATLAB 7.5 on PC with Intel Core2/1.6 GHz/1 GB. The test LR images include several typical  $256 \times 256$  natural images. We aim to recover their  $512 \times 512$  HR images. The input LR images with different degradation matrix  $\mathcal{H}$  (direct downsampling degradation matrix  $\mathcal{H}_d$  and blur down-sampling degradation matrix  $\mathcal{H}_b$ ) are tested. Every experiment is evaluated from the luminance peak signal-to-noise ratio (Y.PSNR) and SSIM

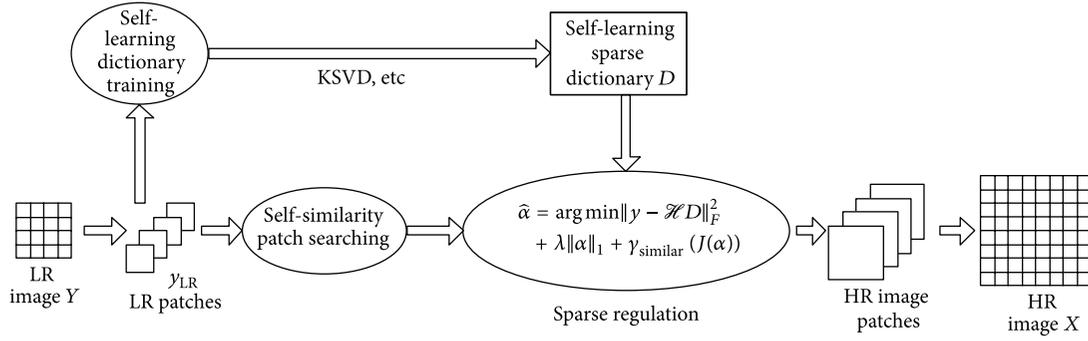


FIGURE 2: The overall diagram of the self-similarity-based image super resolution.



FIGURE 3: Experiment results on image Lena, from left to right: (a) original  $512 \times 512$  HR image, (b)  $\mathcal{H}_b$  sampled Bicubic (PSNR = 34.87 dB), and (c)  $\mathcal{H}_b$  sampled Yang et al.'s [24] (PSNR = 35.75 dB), (d)  $\mathcal{H}_b$  sampled Proposed method (PSNR = 35.80 dB), (e) Dong et al.'s [25] NCSR (PSNR = 35.45 dB), (f)  $\mathcal{H}_d$  sampled Bicubic (PSNR = 30.96 dB), (g)  $\mathcal{H}_d$  sampled Yang et al.'s. [24] (PSNR = 29.09 dB), and (h)  $\mathcal{H}_d$  sampled proposed method (PSNR = 33.82 dB).

and is compared with the state of the art methods such as Yang et al.'s [12, 22], Dong et al.'s [25]. We thank the above authors to provide their program codes.

**3.2. Experiments on Different Downsampled Image.** In this test, our method is tested on several  $512 \times 512$  common experimental natural images such as Lena, Plane, and Pepper. The input  $256 \times 256$  LR image is down-sampled from the original  $512 \times 512$  HR image. We use both direct downsampling degradation matrix  $\mathcal{H}_d$  and blur downsampling degradation matrix  $\mathcal{H}_b$  to test the algorithm's adaptability. At first, a sparse dictionary is trained by the  $8 \times 8$  patches taken from input LR image. The dictionary has 128 atoms. Hence, the dictionary is a  $64 \times 128$  matrix. Then, the  $8 \times 8$  HR image patches are recovered by  $4 \times 4$  LR image patches under our self-similarity based SR approach. We set 3 pixels overlap in LR patches by default. The neighbor searching zone is set to  $10 \times 10$ .

Figure 3 shows the experiment on the image Lena under different downsampling matrix. Figure 3(a) plots the original

Lena image. Figures 3(b)–3(d) plot the HR Lena images recovered from  $\mathcal{H}_b$  down-sampled LR image, respectively, by Bicubic, Yang et al.'s [24], and our proposed methods. Recovered image by Dong et al.'s [25] NCSR method is also illustrated in Figure 3(e), which uses the elaborate Gaussian low-pass filter. Figures 3(e)–3(g) show the recovered HR Lena images from  $\mathcal{H}_d$  down-sampled LR image, respectively, by Bicubic, Yang et al.'s [24] method, and the proposed method. Dong et al.'s [25] NCSR method cannot get acceptable performance without Gaussian low-pass filter, which is not illustrated in Figure 3. These experimental results show that our method has better performance than the state of the art methods [12, 24, 25] in both cases. The Bicubic method could not recover the high frequency details in both cases. Although Yang et al.'s [24] method can recover the blur downsampled-LR image very well but produce too much artifact and fake high frequency details in the direct downsampling case.

Experiment result on image Pepper is shown in Figure 4. Pepper has lots of edge, which is a preferable image

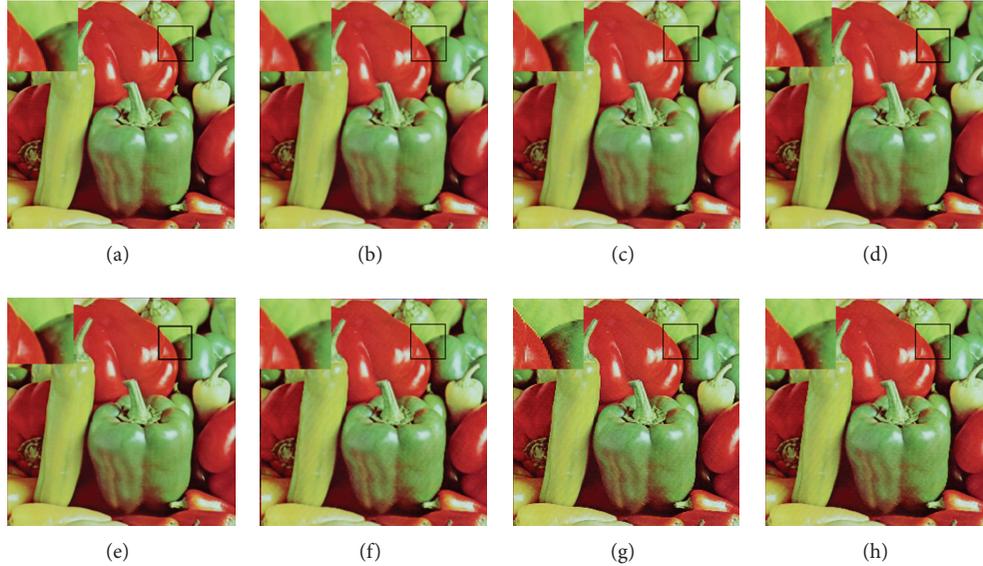


FIGURE 4: Experiment results on image Pepper, from left to right: (a) original  $512 \times 512$ HR image, (b)  $\mathcal{H}_b$  sampled Bicubic (PSNR = 33.08 dB), (c)  $\mathcal{H}_b$  sampled Yang et al.'s [24] (PSNR = 33.84 dB), (d)  $\mathcal{H}_b$  sampled proposed method (PSNR = 35.68 dB), (e) Dong et al.'s [25] NCSR (PSNR = 34.92 dB) (f),  $\mathcal{H}_d$  sampled bicubic (PSNR = 29.78 dB), (g)  $\mathcal{H}_d$  sampled Yang et al.'s [24] (PSNR = 28.3943 dB), and (h)  $\mathcal{H}_d$  sampled proposed method (PSNR = 33.25 dB).

TABLE 2: Comparison results of different SR methods.

Image	Downsampling matrix	Measures	Methods			
			Bicubic	Yang et al. [24]	Dong et al. [25]	Proposed
Lena	Blur	PSNR (dB)	34.8671	35.7477	35.46	35.8
		SSIM	0.8538	0.8586	0.9067	0.9237
	Direct	PSNR (dB)	30.964	29.0875		33.8206
		SSIM	0.7873	0.7322		0.8098
Plane	Blur	PSNR (dB)	32.6525	33.5788	34.05	34.9828
		SSIM	0.9341	0.9369	0.9487	0.9629
	Direct	PSNR (dB)	28.8573	27.5349		31.5616
		SSIM	0.8985	0.8525		0.9141
Pepper	Blur	PSNR (dB)	33.0847	33.8412	34.92	35.6808
		SSIM	0.8382	0.8474	0.9028	0.9173
	Direct	PSNR (dB)	29.7824	28.3943		33.2525
		SSIM	0.7712	0.7229		0.7754
Sailboat	Blur	PSNR (dB)	31.065	31.6411	32.05	32.1125
		SSIM	0.8143	0.8294	0.8826	0.8979
	Direct	PSNR (dB)	27.7443	26.0675		30.0478
		SSIM	0.7537	0.6893		0.756
Baboon	Blur	PSNR (dB)	25.0694	25.0966	25.13	25.4071
		SSIM	0.7068	0.7388	0.7375	0.7479
	Direct	PSNR (dB)	22.661	20.5052		23.6535
		SSIM	0.611	0.5595		0.6217

to test the recover effect about edge. Similar result is derived. The edge recovered by Yang et al.'s [24] method is not clear when LR image is down-sampled by  $\mathcal{H}_d$ . This failure may be caused by the inconsistency between Yang et al.'s [24] pair of HR and LR dictionaries. In comparison, our proposed

method can preserve the edge's sharpness well. Besides the edge's sharpness, recovered information by self-learning is more faithful to the true HR details.

More bench-mark comparisons are illustrated in Table 2. Our proposed method shows high recovery performance

TABLE 3: Recovery PSNR of three sparse based SR methods with different dictionary sizes.

Image	Bicubic (dB)	Yang et al. [24] (dB) 1024 atoms	Yang et al. [22] (dB) 500 atoms	Proposed (dB) 128 atoms
Lena	29.8545	33.4116	33.4302	33.6360
Pepper	28.8546	31.4435	31.5071	31.9216
Boat	26.7158	30.4966	30.5984	30.8878

TABLE 4: Recovery effects of different size searching zones on image Tank.

Searching zone	$8 \times 8$	$10 \times 10$	$12 \times 12$	$14 \times 14$
PSNR (dB)	34.4982	34.6764	34.8211	34.8985
SSIM	0.9057	0.9085	0.9106	0.9114

under both kinds of downsampling degradation matrix. The comparison shows that self-similarity is a powerful image-specific prior for sparse representation SR method.

Images produced by industrial environment sensors are tested too, as shown below in Figures 5 and 6. Recovered high resolution images in Figure 6 show the effectiveness of our approach.

Furthermore, we do experiments on Forman video sequence to test the stability of our algorithm. All the frames are processed as an image. Figure 7 shows the PSNR comparison between the proposed method and Bicubic method. The proposed approach stably outperforms the Bicubic method. From about the 210th frame, recovery performance decays rapidly, since the followed frames are full of wild high frequency details.

**3.3. Influence of Different Parameters.** To further observe different parameter's impact, several comparison experiments are conducted.

**3.3.1. Influence of Dictionary Size.** Another advantage of the proposed approach is that the sparse dictionary only needs a small amount of atoms. 128 atoms are enough to get a favorable result for the proposed method. Meanwhile, Yang et al.'s method [12, 24] needs to train external dictionaries at least 512 atoms. In [22], Yang et al. propose a CS-based SR method, which also needs to train a dictionary with 500 atoms by external database. Comparison experiments are conducted on gray  $512 \times 512$  natural images, including Lena, Pepper, and Boat. Table 3 shows the recovery PSNR of three sparse based SR methods with different dictionary sizes. The proposed method can recover favorable HR images by the smallest dictionary. Test results show that the proposed self-similarity learning method is more suitable for resource-constrained image sensor node.

For external dictionary based SR method, the recovery performance gets better as the dictionary size is growing larger. Figure 8 shows another comparison on Lena between Yang et al.'s method [24] and the proposed method. Yang et al.'s method [24] is conducted by a series of dictionary sizes of



FIGURE 5: Low resolution test images from industrial environment sensors.

256, 512, 1024, and 2048. The proposed method is conducted by different dictionary sizes of 64, 128, 256, and 512. We use the increment PSNR to Bicubic method as the comparison index. As PSNR growth curve shown in Figure 8, we can see that the recovery performance of Yang et al.'s method relies much more on the dictionary size. Its dictionary size should be three times larger than the dictionary size in the proposed method. By contrast, our approach gives a stable performance on different dictionary sizes.

**3.3.2. Influence of Self-Similarity Searching Zone.** Self-similarity is introduced as the sparse regulation prior in our approach. The above tests show its effectiveness and stability in preserving the detailed information such as



FIGURE 6: Recovered high resolution test images from industrial environment sensors scale factor = 2.

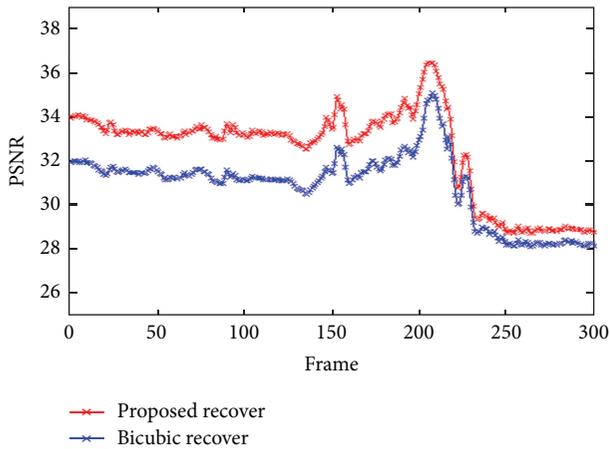


FIGURE 7: Self-similarity based SR performance on Foreman video sequence.

edge sharpness. The size of self-similarity searching zone is tested here, using test image Tank from  $8 \times 8$  to  $14 \times 14$  neighborhood. Results are illustrated in Table 4 and Figure 9. The similar patches found are shown in

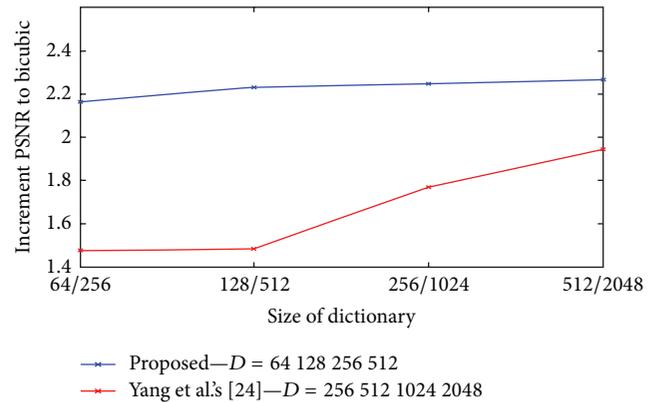


FIGURE 8: Recovery performance comparison over different dictionary sizes.

Figure 10. The experiment tells us that more edge patches can be found, and the recovery performance gets better, when the searching zone size increases.

3.4. Limitation and Further Research Direction. Although we have shown the outstanding performance of the proposed



FIGURE 9: Recovery effects of different sized searching zones on image Tank, from left to right: (a)  $8 \times 8$ , (b)  $10 \times 10$ , (c)  $12 \times 12$ , and (d)  $14 \times 14$ .

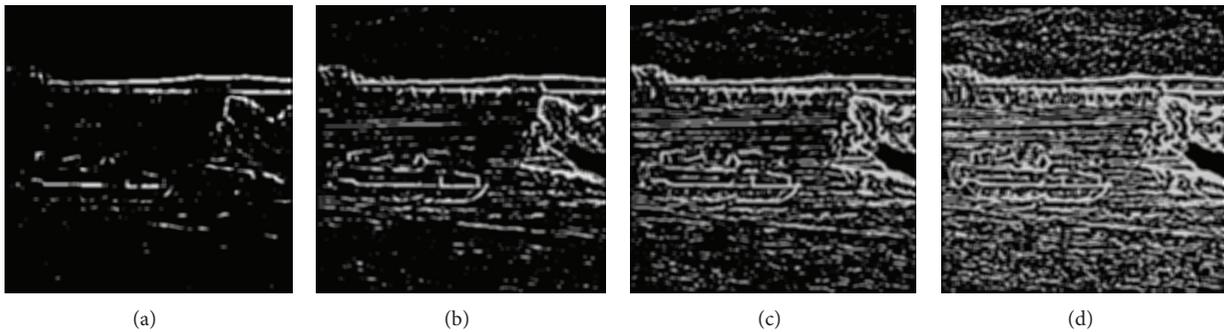


FIGURE 10: Similar patches found by different sized searching zones, from left to right: (a)  $8 \times 8$ , (b)  $10 \times 10$ , (c)  $12 \times 12$ , and (d)  $14 \times 14$ .

self-similarity super resolution approach, there are still some limitation that should be considered. The proposed method assumes that the blur matrix is known as most SR methods. Further research should consider how to estimate the optimal blur kernel under the blind circumstance. Another point is that the SSE self-similarity prior used in the proposed algorithm is quite simple. We will use more delicate prior such as Parzen window estimation [31], BM3D [32], and so forth, to get a better match with the destination HR patch.

#### 4. Conclusion

This paper has presented a novel double self-similarity super resolution approach for the resource-constrained image sensor node in the wireless sensor networks. The proposed method does not need external database and only uses the LR image itself as the training sample for sparse representation dictionary with a small number of atoms. Self-similarity sparse prior is combined in the regulation iteration to preserve the detailed information. Experiments are conducted on bench-mark test images. The effects of different parameters have been surveyed. Comparative tests show the effectiveness and stability of the proposed method over the state of the art sparse based SR methods.

#### Conflict of Interests

The authors declare that there is no conflict of interests regarding the publication of this paper.

#### Acknowledgments

This work is supported by the Open Research Fund of Zhejiang Network Media Cloud Processing Technology Center (no. 2012E10023-1) and NSFC (no. 61179006).

#### References

- [1] H. Lee, C. Wu, and H. Aghajan, "Vision-based user-centric light control for smart environments," *Pervasive and Mobile Computing*, vol. 7, no. 2, pp. 223–240, 2011.
- [2] P. Kulkarni, D. Ganesan, P. Shenoy, and Q. Lu, "SensEye: a multi-tier camera sensor network," in *Proceedings of the 13th Annual ACM International Conference on Multimedia (MULTIMEDIA '05)*, pp. 229–238, New York, NY, USA, 2005.
- [3] K. Dong, Y. Liu, L. Guo, and M. Hu, "An array computer for low- and intermediate-level image processing," in *Proceedings of the IEEE International Conference on Networking, Architecture, and Storage*, pp. 447–451, Hunan, China, 2009.
- [4] T. M. Lehmann, C. Gönner, and K. Spitzer, "Survey: interpolation methods in medical image processing," *IEEE Transactions on Medical Imaging*, vol. 18, no. 11, pp. 1049–1075, 1999.

- [5] E. Meijering, "A chronology of interpolation: from ancient astronomy to modern signal and image processing," *Proceedings of the IEEE*, vol. 90, no. 3, pp. 319–342, 2002.
- [6] M. Unser, "Splines: a perfect fit for signal and image processing," *IEEE Signal Processing Magazine*, vol. 16, no. 6, pp. 22–38, 1999.
- [7] J. Sun, J. Sun, Z. Xu, and H.-Y. Shum, "Image super-resolution using gradient profile prior," in *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition (CVPR '08)*, pp. 1–8, Anchorage, AK, USA, 2008.
- [8] S. Dai, M. Han, W. Xu, Y. Wu, and Y. Gong, "Soft edge smoothness prior for alpha channel super resolution," in *Proceedings of the IEEE Computer Society Conference on Computer Vision and Pattern Recognition (CVPR '07)*, pp. 1–8, Minneapolis, Minn, USA, 2007.
- [9] X. Li and M. T. Orchard, "New edge-directed interpolation," *IEEE Transactions on Image Processing*, vol. 10, no. 10, pp. 1521–1527, 2001.
- [10] L. Zhang and X. Wu, "An edge-guided image interpolation algorithm via directional filtering and data fusion," *IEEE Transactions on Image Processing*, vol. 15, no. 8, pp. 2226–2238, 2006.
- [11] X. Zhang and X. Wu, "Image interpolation by adaptive 2-D autoregressive modeling and soft-decision estimation," *IEEE Transactions on Image Processing*, vol. 17, no. 6, pp. 887–896, 2008.
- [12] J. Yang, J. Wright, T. Huang, and Y. Ma, "Image super-resolution as sparse representation of raw image patches," in *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition (CVPR '08)*, pp. 1–8, Anchorage, AK, USA, 2008.
- [13] E. J. Candès, *Compressive Sampling*, International Congress of Mathematicians, 2006.
- [14] E. J. Candès, J. Romberg, and T. Tao, "Robust uncertainty principles: exact signal reconstruction from highly incomplete frequency information," *IEEE Transactions on Information Theory*, vol. 52, no. 2, pp. 489–509, 2006.
- [15] D. L. Donoho, M. Elad, and V. N. Temlyakov, "Stable recovery of sparse overcomplete representations in the presence of noise," *IEEE Transactions on Information Theory*, vol. 52, no. 1, pp. 6–18, 2006.
- [16] D. Takhar, V. Bansal, and M. Wakin, "A compressed sensing camera: new theory and an implementation using digital micro mirrors," in *Electronic Imaging: Computational Imaging*, vol. 4 of *Proceedings of the SPIE*, San Jose, Calif, USA, 2006.
- [17] R. Baraniuk and P. Steeghs, "Compressive radar imaging," in *Proceedings of the IEEE Radar Conference*, pp. 128–133, Boston, Mass, USA, 2007.
- [18] M. Herman and T. Strohmer, "High-resolution radar via compressed sensing," *IEEE Transactions on Signal Processing*, vol. 57, no. 6, pp. 2275–2284, 2009.
- [19] M. Lustig, D. Donoho, and J. M. Pauly, "Sparse MRI: the application of compressed sensing for rapid MR imaging," *Magnetic Resonance in Medicine*, vol. 58, no. 6, pp. 1182–1195, 2007.
- [20] W. Bajwa, J. Haupt, A. Sayeed, and R. Nowak, "Compressive wireless sensing," in *Proceedings of the 5th International Conference on Information Processing in Sensor Networks (IPSN '06)*, pp. 134–142, New York, NY, USA, 2006.
- [21] J. Laska, S. Kirolos, Y. Massoud et al., "Random sampling for analog to information conversion of wideband signals," in *Proceedings of the IEEE Dallas Circuits and Systems Workshop on Design, Applications, Integration and Software (DCAS '06)*, pp. 119–122, Dallas, Tex, USA, 2006.
- [22] S. Yang, M. Wang, Y. Sun, F. Sun, and L. Jiao, "Compressive sampling based single-image super-resolution reconstruction by dual-sparsity and non-local similarity regularizer," *Pattern Recognition Letters*, vol. 33, no. 9, pp. 1049–1059, 2012.
- [23] N. Kulkarni, P. Nagesh, R. Gowda, and B. Li, "Understanding compressive sensing and sparse representation-based super-resolution," *IEEE Transactions on Circuits and Systems for Video Technology*, vol. 22, no. 5, pp. 778–789, 2012.
- [24] J. Yang, J. Wright, T. S. Huang, and Y. Ma, "Image super-resolution via sparse representation," *IEEE Transactions on Image Processing*, vol. 19, no. 11, pp. 2861–2873, 2010.
- [25] W. Dong, L. Zhang, G. Shi, and X. Li, "Nonlocally centralized sparse representation for image restoration," *IEEE Transactions on Image Processing*, vol. 22, no. 4, pp. 1620–1630, 2013.
- [26] D. Glasner, S. Bagon, and M. Irani, "Super-resolution from a single image," in *Proceedings of the 12th International Conference on Computer Vision (ICCV '09)*, pp. 349–356, Kyoto, Japan, 2009.
- [27] M. Zontak and M. Irani, "Internal statistics of a single natural image," in *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition (CVPR '11)*, pp. 977–984, 2011.
- [28] M. Aharon, M. Elad, and A. Bruckstein, "K-SVD: an algorithm for designing overcomplete dictionaries for sparse representation," *IEEE Transactions on Signal Processing*, vol. 54, no. 11, pp. 4311–4322, 2006.
- [29] R. Chartrand and W. Yin, "Iteratively reweighted algorithms for compressive sensing," in *Proceedings of the IEEE International Conference on Acoustics, Speech and Signal Processing (ICASSP '08)*, pp. 3869–3872, 2008.
- [30] J. A. Tropp and A. C. Gilbert, "Signal recovery from random measurements via orthogonal matching pursuit," *IEEE Transactions on Information Theory*, vol. 53, no. 12, pp. 4655–4666, 2007.
- [31] E. Parzen, "On estimation of a probability density function and mode," *Annals of Mathematical Statistics*, vol. 33, no. 3, pp. 1065–1076, 1962.
- [32] K. Dabov, A. Foi, V. Katkovnik, and K. Egiazarian, "Image denoising by sparse 3-D transform-domain collaborative filtering," *IEEE Transactions on Image Processing*, vol. 16, no. 8, pp. 2080–2095, 2007.



# Hindawi

Submit your manuscripts at  
<http://www.hindawi.com>

