

## Research Article

# Accurate Fault Classifier and Locator for EHV Transmission Lines Based on Artificial Neural Networks

**Moez Ben Hessine and Souad Ben Saber**

*Lattice Laboratory at Higher National Engineering School of Tunis, ENSIT, University of Tunis, 05 Avenue Taha Hussein, Montfleury, 1008 Tunis, Tunisia*

Correspondence should be addressed to Moez Ben Hessine; [benhessinemoez@yahoo.fr](mailto:benhessinemoez@yahoo.fr)

Received 6 March 2014; Revised 31 May 2014; Accepted 31 May 2014; Published 15 July 2014

Academic Editor: Haipeng Peng

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The ability to identify the fault type and to locate the fault in extra high voltage transmission lines is very important for the economic operation of modern power systems. Accurate algorithms for fault classification and location based on artificial neural network are suggested in this paper. Two fault classification algorithms are presented; the first one uses the single ANN approach and the second one uses the modular ANN approach. A comparative study of two classifiers is done in order to choose which ANN fault classifier structure leads to the best performance. Design and implementation of modular ANN-based fault locator are presented. Three fault locators are proposed and a comparative study of the three fault locators is carried out in order to determine which fault locator architecture leads to the accurate fault location. Instantaneous current and/or voltage samples were used as inputs to ANNs. For fault classification, only the pre-fault and post-fault samples of three-phase currents were used. For fault location, pre-fault and post-fault samples of three-phase currents and/or voltages were used. The proposed algorithms were evaluated under different fault scenarios. Studied simulation results which are presented confirm the effectiveness of the proposed algorithms.

## 1. Introduction

The design of the high performance protection techniques remains an important subject for the development within the university community and the industry. Indeed, a transmission line is an important element of the electrical power system. Nevertheless, transmission lines present the highest fault appearance rate considering the environmental conditions which are subjected. Hence, the protective relaying systems are integrated in transmission lines to quickly detect faults occurrence and to isolate the faulted part from the rest of power system as soon as possible. These protective relaying systems serve to ensure the power system stability, minimize damage equipment, and restore the service quality. For transmission line protections, various algorithms were proposed in the literature. In the 70s, travelling wave techniques were introduced into the transmission line protection algorithms [1]. However, most researchers [2–4] mentioned that the method founded on the travelling wave does not function well for the faults near the relaying site and for faults having small fault inception angles. The synchronized measurement

technology seems to be a promising perspective to obtain real time protection. With the global positioning system (GPS), digital measurement of the three-phase current and voltage signals for the two line ends can be carried out into a synchronous manner [5–8]. These techniques are more precise than the distance relaying protection algorithms which are affected by the insufficient transmission line modeling and the parameter uncertainty due to the aging of lines. Moreover, these techniques require the installation of a GPS where the measurements are synchronized compared to a GPS clock. Nevertheless, the synchronized measurement technology presents many drawbacks as the high cost and the presence of a communication channel between the line terminals which is not available in the majority of lines. Therefore, the fault diagnosis techniques using one-terminal data could be more attractive for researchers. In this context, it is necessary to develop algorithms having the ability to adapt dynamically with the system operating conditions such as the system configuration changes and the fault conditions (fault resistance, fault inception angle, and fault position). Recently, modern technologies of the protection relays are

based on artificial intelligence tools such as fuzzy logic (FL), artificial neural networks (ANNs), and the adaptive network-based fuzzy inference system (ANFIS). Fuzzy logic-based transmission line relaying techniques for fault classification and fault location are proposed by many researchers [9–11]. However, these techniques cannot in any way guarantee precision results: for wide variation of fault conditions (high fault resistance, high fault inception angle, and far distance location from relay site). A recent study [12] has proposed an algorithm having the synergy to calculate with high precision the fault locations at distances less than 80% of the line length. In [13] a fault classification algorithm based on fuzzy logic system is presented. Nevertheless, this algorithm is valid only for a less range variety of fault resistance.

Other protection relaying researchers have used the adaptive network-based fuzzy inference system (ANFIS) [14–17]. In [18], a fault detection and classification scheme is developed. This technique uses three-phase currents and zero sequence current but the fault location procedure is not indicated. In [19] a fault classification and location algorithms for combined overhead transmission line have been proposed. The current and voltage samples are used for the proposed scheme. These values were obtained within one cycle after the fault inception that implies a response time superior than one operating cycle. The protection fault approaches based on fuzzy logic (FL) and adaptive network fuzzy inference system (ANFIS) techniques are sensitive to the system frequency variations and require large training sets.

The artificial neural networks were integrated in the protection relaying techniques. These techniques used samples of current and/or voltage without calculating the symmetrical components [1]. Various neural network types such as the multilayer perceptron (MLP), radial basis function (RBF), and probabilistic neural network are applied for fault diagnosis in transmission lines [20–24]. The protection approaches based on ANNs were used for the development of reliable, accurate, and rapid algorithms in real time for fault detection, classification, and location. In this context, [25] developed an application of radial basic function (RBF) neural network applied to fault location in transmission lines. The maximum error of the proposed algorithm is equal to 0.5. Besides, [26, 27] developed neural network approaches for fault detection and fault location in transmission lines. Nevertheless, these approaches detect only the faults which appeared in the first zone of the line, namely, 80% of the transmission line length. In [28] a fault location algorithm for transmission lines was developed. The algorithm uses a single artificial neural network based on the Levenberg-Marquardt optimization technique. However, the fault type is not indicated and the percentage error of the algorithm is maintained below 0.65%. In [29] fault classification and location schemes are proposed. These schemes use three-phase currents and voltages waveforms at one terminal line. The response time of the proposed scheme is not indicated and the percentage error for fault location is equal to 3%. In [30] a new scheme for fault classification and fault location is presented. The maximum error of the proposed scheme is 3.05%, and the response time is not indicated. Reference [31]

proposed a fault location module for fault diagnosis which incorporates two stages adaptive structures neural network. The fault detection, classification, and location algorithms are presented with average fault location error of 0.4% and 0.5411%. The results show clearly that this approach leads to a reliable location for all types of faults. The operating time of this method is equal to 1.28 cycles after inception fault. In [32], fault distance and direction estimation based on ANN for protection of doubly fed transmission lines are proposed, but the fault type is not indicated. The operating time of this approach is about 1.5 cycles and the percentage error rate of fault location lies between 0.052% and 1.57%.

In order to develop fault classification and location algorithms leading to desired results with a good precision and fast response time compared to former work, we have proposed in the present paper a new fault classification and location algorithms based on ANNs. Thus, optimal neural networks architecture used in the fault classification and location algorithms (number of hidden layers, number of neurons in hidden layers, reduced training sets, fast convergence to the desired results, and reliability and precision of protection algorithms) were proposed. These algorithms are based on artificial neural networks (ANNs) (feed-forward) trained by a supervised learning algorithm called back-propagation. In this context, two fault classifiers are proposed: the first one uses a single ANN approach and the second one uses a modular ANN approach. A comparative study of the proposed two fault classifiers is carried out in order to determine which reliable and effective ANN fault classifier leads to the best performance. For fault location, three fault locators based on modular ANN approach are proposed in order to choose an optimal architecture strategy with a high precision and fast convergence to the exact fault location. The fault neural classifiers and locators were trained and tested under different fault conditions (fault types, fault locations, fault resistances, and fault inception angles). The simulation results show clearly the high accuracy of the proposed fault classification and location algorithms.

## 2. Power System under Study

To evaluate the performance of the proposed neural network-based fault detector and locator, a 400 kV, 100 km transmission line extending between two sources is considered in this study. The power system model simulated using MATLAB software is shown in Figure 1. It contains a synchronous generator (driven by hydraulic turbine) connected to an infinite bus. The transmission line has been represented by distributed parameter of one line model using Power System toolbox of MATLAB software and the frequency dependence of the line parameters is taken into account. The proposed fault classification and location algorithms require only the three-phase voltages and/or currents samples at the sending end of the transmission lines. A large number of fault samples data have been generated using MATLAB considering wide variations on fault conditions such as fault locations, fault resistances, fault inception angle, and fault types. Using these data, fault classification and location have been carried out

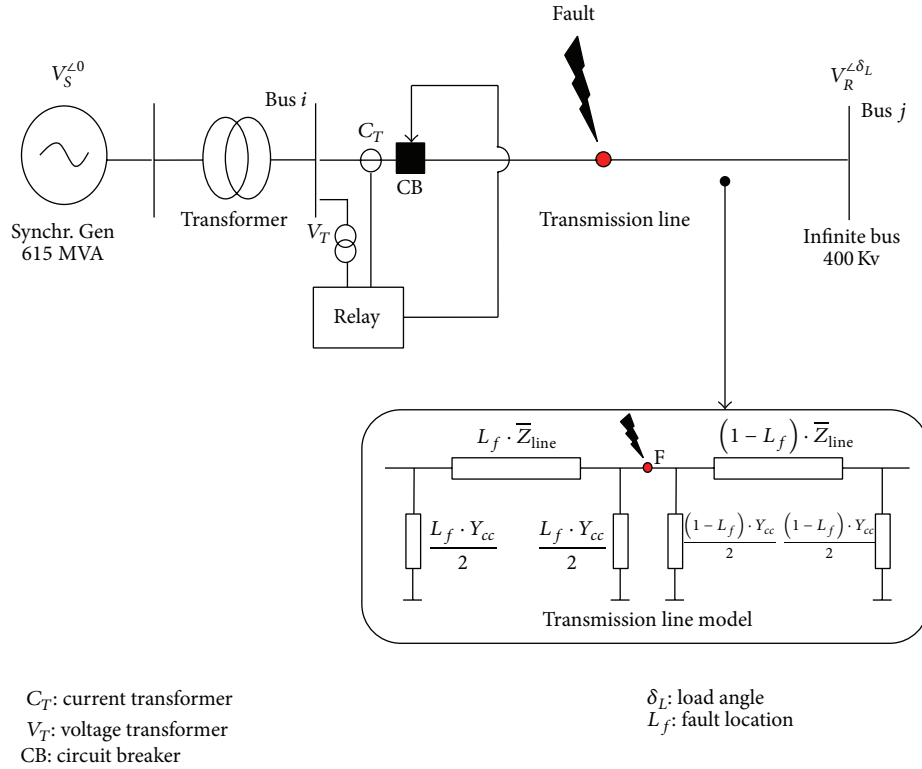


FIGURE 1: System under study.

by means of MATLAB that make use of its “neural network toolbox.”

The transmission line parameters are as follows:

- (i) line length = 100 km;
- (ii) voltage = 400 Kv;
- (iii) transmission line impedance:
  - (a) positive sequence impedance =  $0.0275 + j0.422 \Omega/\text{km}$ ;
  - (b) zero sequence impedance =  $0.275 + j1.169 \Omega/\text{km}$ ;
  - (c) positive sequence capacitance =  $9.483 \text{ nF}/\text{km}$ ;
  - (d) zero sequence capacitance =  $6.711 \text{ nF}/\text{km}$ .

We adopted for the synchronous generator a fourth state order model as follows [33–37]:

$$\begin{aligned}
 \frac{dE'_q}{dt} &= \frac{1}{T'_{do}} \cdot [E_{fd} - E'_q + (X_d - X'_d) \cdot I_d], \\
 \frac{dE'_d}{dt} &= \frac{1}{T'_{qo}} \cdot [-E'_d + (X_q - X'_q) \cdot I_q], \\
 \frac{d\omega}{dt} &= \frac{1}{M} \cdot [P_m - P_e - D \cdot (\omega - 1)], \\
 \frac{d\delta}{dt} &= \omega - 1,
 \end{aligned} \tag{1}$$

where

$E'_d$ ,  $E'_q$ , and  $E_{fd}$  are, respectively, the  $(d, q)$  axe transient emf and the emf excitation.  $X_d$ ,  $X_q$ ,  $X'_d$ , and  $X'_q$  are, respectively, the  $(d, q)$  axe reactances and the  $(d, q)$  axe transient reactances.  $D$  is the damping coefficient.  $M$  is the inertia constant.

$P_e$ ,  $P_m$ ,  $\omega$ , and  $\delta$  are, respectively, the electrical power, mechanical power, speed, and the rotor angle.

In order to identify the fault type and to reach a high degree of accuracy in the location of a fault in transmission lines, a series of contributions have been introduced to estimate the fault distance for transmission lines. Currently, the most widely used method of transmission lines fault location is to determine the apparent reactance of the line during the time that the fault current is flowing and to convert the ohmic result into a distance based on the parameters of the line. It is widely recognized that this method is subject to errors when the fault resistance is high and the line is fed from both ends [38].

There is a need for the measuring algorithms that have the ability to adapt dynamically to the system operating conditions such as changes in the system configuration, source impedances, and fault resistances. Many successful applications based on artificial neural networks to power systems have been demonstrated including security assessment [39] and load forecasting control [40]. Recent applications in protection have covered fault diagnosis for electric power systems [41]. Hence, in order to improve the former work

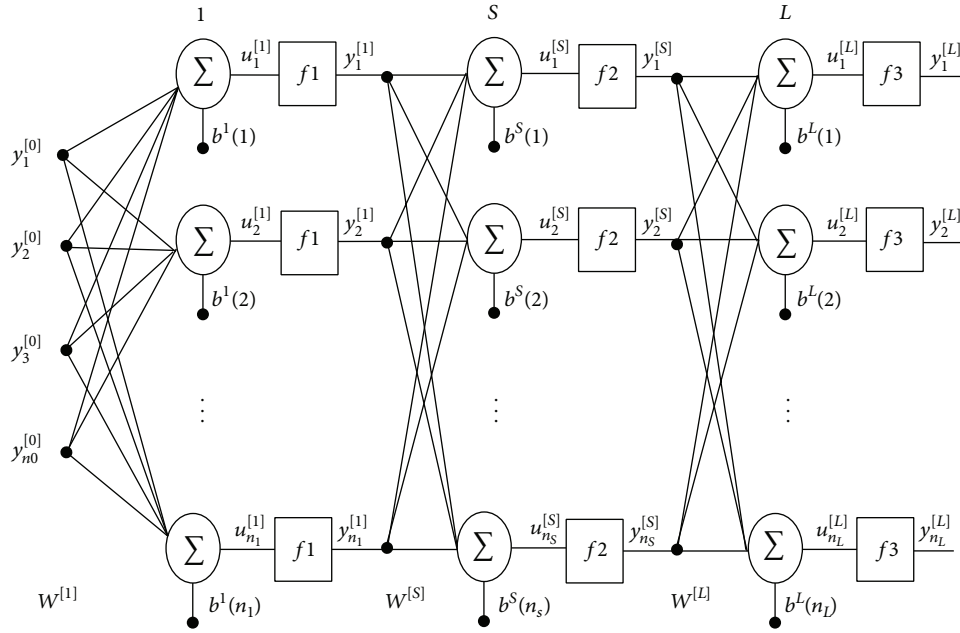


FIGURE 2: Multilayer network model.

results for fault classification and location in transmission lines, we have resorted towards the artificial neural networks tools.

### 3. Artificial Neural Networks

The ANN represents a parallel multilayer information processing structure. The characteristic feature of this network is that it considers the accumulated knowledge acquired during training and responds to new events in the most appropriate manner, given the experiences gained during the training process. ANNs imitate the learning process of the human brain and can process problems involving nonlinear and complex data even if the data are imprecise and noisy. The model of the ANN is determined according to network architecture, transfer function, and the learning algorithms. Given their diversification, all the types of neural networks available nowadays cannot be listed easily. The researchers are constantly endeavored to invent new types better suited to resolve specific problems. Among neural networks types, multilayer perceptron (MLP), recurrent neural network, Hopfield neural networks, Kohonen neural networks, and so forth can be cited.

In the recent years, the memristor-based recurrent neural networks represent the main advanced neural network technologies which have been proposed and implemented in various applications fields. Some works of synchronization control problem of this type of networks have been evoked, studied, and discussed by [42].

Authors have employed the differential inclusions theory and the Lyapunov functional method in order to ensure the convergence of the system to the equilibrium point. Furthermore, other several new neural networks architectures have been proposed, namely, the dynamic recurrent neural

networks. For these kinds of neural networks, the dynamics analysis study is generally imposed [43–45].

Once the type and the architecture of a neural network are selected for a given application, it is necessary to perform learning algorithms able to determine the weight values allowing the output of the neural network from being as near as possible to the referred aim.

Learning neural network techniques are based on optimization algorithms that seek to minimize the gap between the actual responses of the network and the desired responses, and this by changing the settings successively for any step (called “epochs”). Many learning algorithms have been used such as back-propagation algorithm, conjugate gradient algorithms, quasi-Newton algorithms, and Levenberg-Marquardt algorithm. Recently, new learning algorithm is used for training the ANN such as genetic algorithms GA [46–48], particle swarm optimization algorithm PSO [49–51], and chaotic ant swarm optimization algorithm CAS [52–56].

In this paper, the multilayer perceptron (MLP) neural network was used and trained with a supervised learning algorithm called back-propagation.

**3.1. Multilayer Perceptron Neural Network.** Multilayer perceptron (MLP) is one of the most frequently used neural network architectures in various applications, and it belongs to the class of supervised neural networks. A typical multilayer (MLP) neural network consists of three layers: an input layer, an output layer, and one or more hidden layers. Each layer consists of a predefined number of neurons. We recall that the neural network is a collection of cells of neurons interconnected by synaptic weights and biases. The inputs are connected to the first hidden layer. Each hidden layer is connected to the next hidden layer, and the last hidden layer is connected to the output layer (Figure 2).

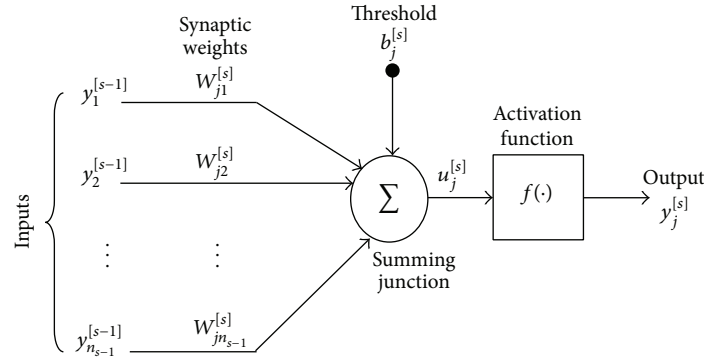


FIGURE 3: A basic structure of a neuron.

The neuron used is a standard type. It consists in making the sum of all the weighted inputs through its synaptic coefficients which represents the linear output and then applying it to an activation function. The output obtained is then connected to all inputs of the next layer. The basic structure of a neuron is shown in Figure 3.

A neuron mathematical model has a very simple structure compared to a biological neuron [57–59]. Hence, a neuron  $j$  can be described mathematically with the following equation:

$$y_j^{[s]} = f \left( b_j^{[s]} + \sum_{i=1}^{n_{s-1}} w_{ji}^{[s]} y_i^{[s-1]} \right), \quad (2)$$

where

$f$  represent the transfer function (activation function) of neuron  $j$ ;

$\{y_i^{[s-1]}\}, i = 1, \dots, n_{s-1}$ , represents the inputs signals of neuron  $j$ ;

$\{w_{ji}^{[s]}\}$  represents the weight coefficients of the connection between inputs and neuron  $j$ ;

$b_j^{[s]}$  is the bias of neuron  $j$ .

A feed-forward NN consists of input, hidden, and output layers which is considered with  $P$ ,  $Q$ , and  $R$  neurons for each layer, respectively. In this structure,  $[y^{[P]}] = [y_1^{[P]}, y_2^{[P]}, \dots, y_P^{[P]}]$  which represents the inputs is applied to the first layer; then, the inputs vectors are transferred to the hidden layer using the connection weight between the input and the hidden layer. The output vector  $[y^{[Q]}] = [y_1^{[Q]}, y_2^{[Q]}, \dots, y_j^{[Q]}, \dots, y_P^{[Q]}]$  of the hidden layer is then obtained. The neuron output  $y_j^{[Q]}$  is determined as follows:

$$y_j^{[Q]} = f_{\text{hidden}} \left( b_j^{[Q]} + \sum_{i=1}^P w_{ij}^{[Q]} y_i^{[P]} \right), \quad (3)$$

where

$w_{ij}^{[Q]}$  represents the connection weight between the neuron  $j$  in the hidden layer and the  $i$ th neuron of the input layer;

$b_j^{[Q]}$  represents the bias of neuron  $j$ ;

$f_{\text{hidden}}$  represents the activation function of the hidden layer.

The values of the vector  $y_j^{[Q]}$  of the hidden layer are transferred to the output layer using the connection weight between the hidden layers and the output layer. However, the output vector  $[y^{[R]}] = [y_1^{[R]}, y_2^{[R]}, \dots, y_k^{[R]}, \dots, y_R^{[R]}]$  of the output layer is determined. The output  $y_k^{[R]}$  of the neuron  $k$  (on the output layer) is obtained as follows:

$$y_k^{[R]} = f_{\text{out}} \left( b_k^{[R]} + \sum_{j=1}^Q w_{jk}^{[R]} y_j^{[Q]} \right). \quad (4)$$

$w_{jk}^{[R]}$  represents the connection weight between the neuron  $k$  in the output layer and the  $j$ th neuron of the hidden layer.

$f_{\text{out}}$  is the activation function of the output layer.

The error in the output layer between the output  $y_k$  and its desired value  $y_{k\text{-desired}}$  ( $y_k - y_{k\text{-desired}}$ ) is minimized by the mean square error at the output layer, defined as follows:

$$\text{Error} = \frac{1}{2} \sum_{k=1}^R (y_{k\text{-desired}} - y_k)^2. \quad (5)$$

**3.2. Back-Propagation Algorithm.** Back-propagation training algorithm (BP) is an iterative gradient descent algorithm which is a simple way to train multilayer feed-forward neural networks. The BP algorithm has become the standard algorithm used for training multilayer perceptron. It is a generalized least mean squares (LMS) algorithm that minimizes the sum of the squares of the errors between the actual and the desired outputs. During training, the weights and biases of the network are iteratively adjusted to minimize the network performance function.

The main steps of the back-propagation algorithm are sum raised as in Algorithm 1.

The training data set of an ANN should contain the necessary information to generalize the problem. In this



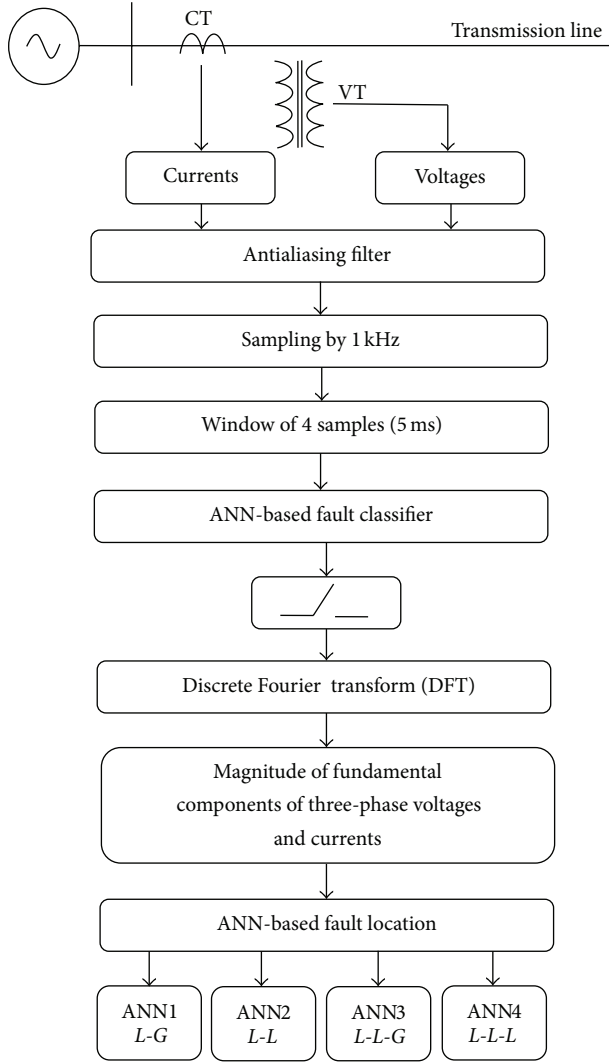


FIGURE 4: Process for generating inputs patterns to the ANNs fault classifier and fault locator.

work, different combinations of various fault conditions were considered and training patterns were generated by simulating a different fault situation on the power system study. Fault conditions such as fault resistance, fault location, and fault inception angle were changed to obtain training patterns covering a wide range of different power system conditions.

#### 4. Configuration of Fault Classification and Location System Using ANN

The fault classifier and fault locator configuration is shown in Figure 4. The protection relay inputs are presented by the voltage and current waveforms acquired at the line end (relay location) via current transformer CT and voltage transformer VT. These signals are used as inputs to the ANN-based fault classifier and fault locator. The phase current and voltage signals extracted from the simulation at the relay location are processed with an anti-aliasing filter in order to filter the

##### Step. BP.1: Initialization

Initialize random matrices synaptic weight:

$$W^{[s]}: s = 1, \dots, L$$

##### Step.BP.2: Propagation

Calculate for each layer  $s = 1, \dots, L$ :

$$u_j^{[s]} = \sum_{i=0}^{n_{s-1}} w_{ji}^{[s]} y_i^{[s-1]}$$

$$y_j^{[s]} = f(u_j^{[s]})$$

##### Step.BP.3: Errors calculation

Calculate local errors for:

(i) Output layer:

$$\delta_{jp}^{[L]} = e_{jp}^{[L]} f'(u_{jp}^{[L]})$$

(ii) Layers:  $s = L - 1, \dots, 1$

$$\delta_{jp}^{[s]} = f'(u_{jp}^{[s]}) \sum_{r=1}^{n_{s+1}} (\delta_{jr}^{[s+1]} w_{rp}^{[s+1]})$$

$W^{[s+1]}$  is deprived of its first line

##### Step.BP.4: Adaptation

Modify the following synaptic weights:

$$\Delta w_{ji}^{[s]}(k) = \mu y_{ip}^{[s-1]} \delta_{jp}^{[s]}: s = 1, \dots, L$$

##### Step.BP.5: Stop test

Test the total squared Error.

ALGORITHM 1: Steps of the back-propagation algorithm.

higher order harmonics. A simple 2nd-order low-pass Butter worth filter with cut-off frequency of 400 Hz has been used. Three-phase voltages and currents waveforms are sampled at a sampling frequency of 1 KHz. This sampling rate is compatible with sampling rates presently used in digital relays [38]. Furthermore, a discrete Fourier transform (DFT) is used to extract the fundamental components of these signals which are used as inputs to the ANN-based fault classifier and fault locator. On one side, the proposed fault classifier is designed to identify the fault type and on the other side the fault locator is designed to estimate the exact fault location in the transmission line.

The design process of the fault classifier and the fault locator based on ANN is given by the following algorithm depicted in Figure 5.

#### 4.1. Fault Classification

**4.1.1. Inputs and Outputs.** A feed-forward neural network of three layers trained by the back-propagation algorithm is selected for the fault classification task. In this section, two neural fault classifiers are developed. The first classifier ( $FC_1$ ) based on the integration of single artificial neural network is used to classify the fault type which can affect a transmission line. The block diagram of the proposed single ANN-based fault classifier ( $FC_1$ ) is illustrated in Figure 6. The single neural network, conceived for the proposed fault classifier ( $FC_1$ ), takes into consideration the fundamental signals of the three-phase currents and the zero sequence currents. These signals are sampled at a frequency of 1 kHz (20 samples per 50 Hz cycle). The inputs data for the single ANN-based-fault

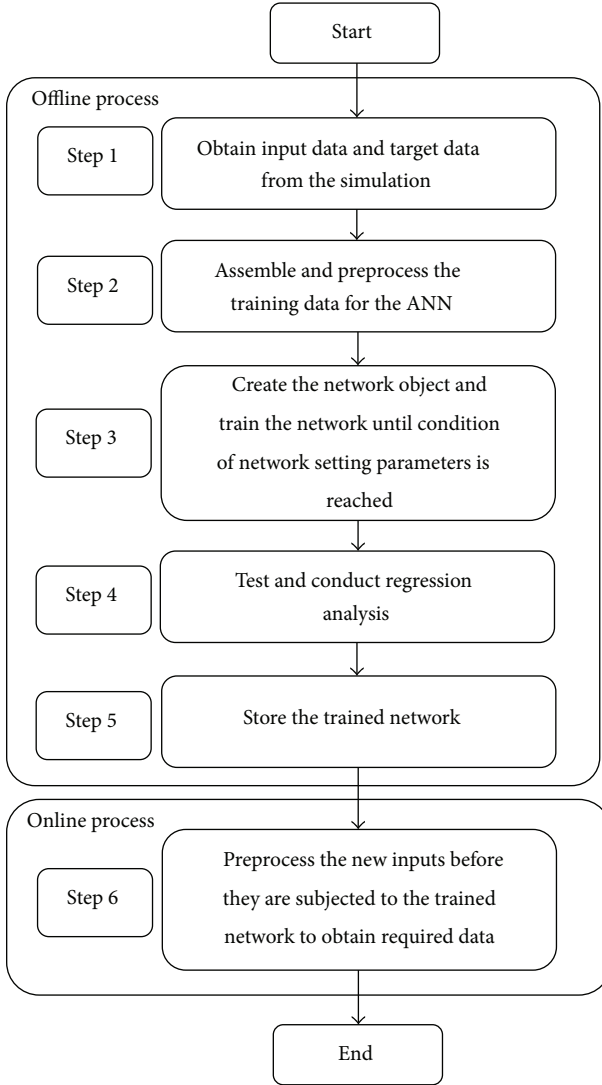


FIGURE 5: The implementation procedures in the training of the ANN.

classifier are four pre-fault and four post-fault for each phase current and for the zero sequence current.

The  $(I_i(k)/I_{i-PF}(k))$ , with  $i = \{R, S, T\}$  are the per-unit values calculated by the division of the samples currents in fault time  $I_i(k)$  (post-fault) to the pre-fault samples current  $I_{i-PF}(k)$  in related phase. Consequently, the selected input numbers for the fault classification algorithm ( $FC_1$ ) are equal to 16: four current samples for each phase ( $R, S$  and  $T$ ) and four samples for zero sequence current. The input vector is presented according to the following equation:

$$X_{FC_1} = \left[ \begin{array}{c} \frac{I_R(k)}{I_{R-PF}(k)}, \dots, \frac{I_R(k+3)}{I_{R-PF}(k-3)} ; \\ \frac{I_S(k)}{I_{S-PF}(k)}, \dots, \frac{I_S(k+3)}{I_{S-PF}(k-3)} ; \end{array} \right]$$

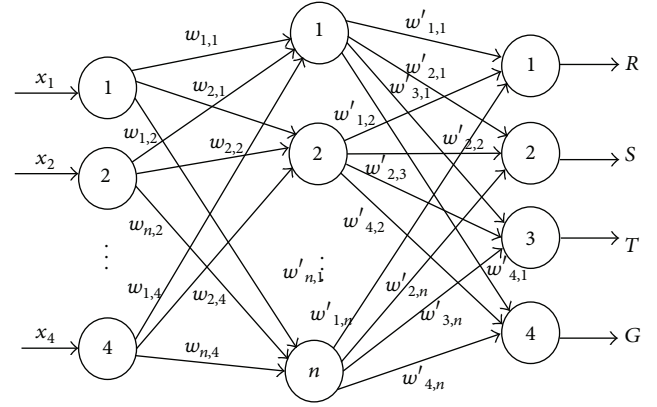


FIGURE 6: A feed-forward multilayer for the fault classifier ( $FC_1$ ).

$$\left. \frac{I_T(k)}{I_{T-PF}(k)}, \dots, \frac{I_T(k+3)}{I_{T-PF}(k-3)} ; I_0(k), \dots, I_0(k+3) \right] \quad (6)$$

The ANN outputs related to  $FC_1$  are called  $R, S, T$ , and  $G$ , which represent the three phases and the ground. If each of the outputs  $R, S$ , and  $T$  is near to 1 this indicates that fault occurred in this phase. When the output  $G$  takes the value 1, in this case the fault is related to ground. Taking the following example, if the fault classifier output is 0101, this indicates that the appearing fault is a single-phase fault which has occurred in the phase  $B$  and connected to ground ( $B-G$ ). In the same context, an output 0110 shows that the fault which has occurred is a two-phase fault ( $B-C$ ).

The second proposed fault classifier ( $FC_2$ ) used the modular ANN approach. The proposed approach based on fault classification consists of four independent artificial neural networks, one for each phase ( $R, S$ , and  $T$ ) and another for faults involving ground ( $G$ ), which are called ANN- $R$ , ANN- $S$ , ANN- $T$ , and ANN- $G$ , respectively. The ANNs inputs are the samples of currents signals and the outputs are presented by the logic values (0 or 1). All network outputs are integrated to determine the fault type via a logic circuit; see Figure 7. Each network designed (ANN- $i$  with  $i = R, S$ , and  $T$ ) treated four pre-fault and four post-fault samples for each phase current. Thus the ANN- $G$  treats four samples of zero sequence current. Figure 6 shows the schematic diagram of the proposed fault classification algorithm. Consequently, the input numbers selected for each ANN- $j$  ( $j = \{R, S, T, G\}$ ) is equal to four current samples. Thus, the total inputs number necessary to carry out the fault classification task via the modular ANN technique is equal to 16 normalized samples. The input vector of each ANN- $i$  ( $i = R, S$ , and  $T$ ) is called  $X_{FC_2}^i$  and for ANN- $G$  is called  $X_{FC_2}^G$  shown by the following equation system:

$$X_{FC_2}^i = \left[ \frac{I_i(k)}{I_{i-PF}(k)}, \dots, \frac{I_i(k+3)}{I_{i-PF}(k-3)} \right] \quad i = \{R, S, T\}, \quad (7)$$

$$X_{FC_2}^G = [I_0(k), \dots, I_0(k+3)].$$

The suggested modular structure of the proposed fault classifier ( $FC_2$ ) based on four independent artificial neural

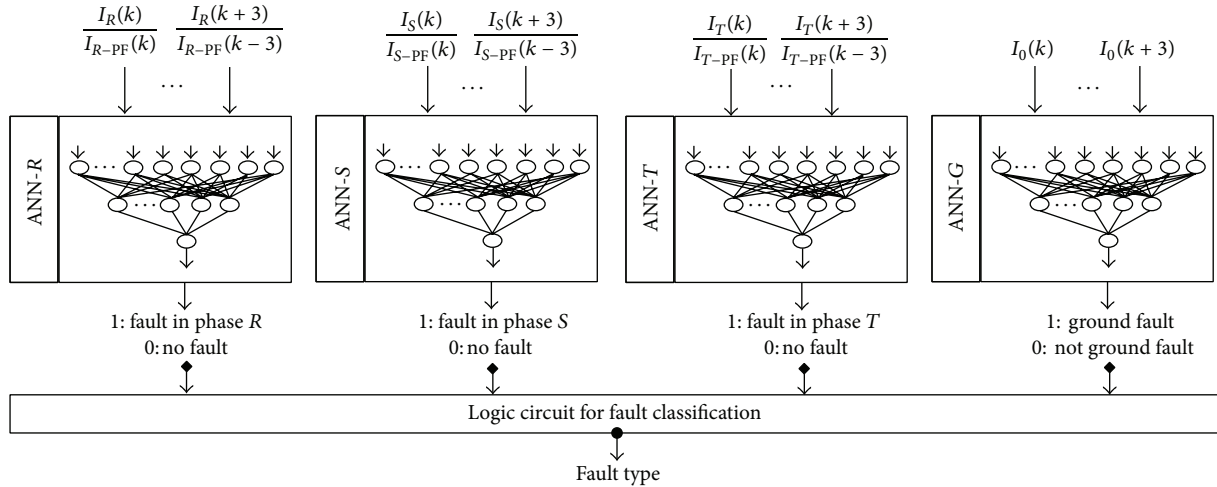
FIGURE 7: Modular ANN-based fault classifier ( $FC_2$ ).

TABLE 1: Neural network desired outputs.

Type of faults	Desired network outputs			
	R	S	T	G
R-G fault	1	0	0	1
S-G fault	0	1	0	1
T-G fault	0	0	1	1
R-S fault	1	1	0	0
R-T fault	1	0	1	0
T-S fault	0	1	1	0
R-S-G fault	1	1	0	1
R-T-G fault	1	0	1	1
T-S-G fault	0	1	1	1
R-S-T fault	1	1	1	0

networks (ANN-R, ANN-S, ANN-T, and ANN-G) at four outputs is detailed in Figure 7. Each artificial neural network (ANN-R, ANN-S, and ANN-T) is designed to indicate the presence or not of a fault in related phases (R, S, and T), and the ANN-G is designed to indicate the involvement or not of the ground throughout the fault. Thus the ANNs outputs take the logic value (0 or 1), indicating the absence or the presence of a fault on the corresponding phase (R, S, and T) and if the fault is related to ground or not (G). We notice that the outputs admitting a value higher than 0.9 will be considered to be active (presence of fault) and the outputs having a value smaller than 0.1 (absence of fault) will be considered to be inactive. The various possible combinations can design the fault type. The proposed modular neural network should be able to distinguish with precision between the ten fault types affecting one transmission line. The neural network desired outputs for all the ten fault types are shown in Table 1.

**4.1.2. Training Data.** To lead to optimal and effective ANN architectures conceived for the fault classification task for the two suggested fault classifiers ( $FC_1$  and  $FC_2$ ), a suitable

TABLE 2: Training and test generation data of  $FC_1$  and  $FC_2$ .

Parameter	Training	Testing
Fault type	L-g: R-G, S-G, T-G	L-g: R-G, S-G, T-G
	L-L: R-S, R-T, T-S	L-L: R-S, R-T, T-S
	L-L-g: R-S-G, R-T-G, T-S-G,	L-L-g: R-S-G, R-T-G, T-S-G,
	L-L-L: R-S-T	L-L-L: R-S-T
Fault location $L_f$ (km)	1, 10, 20, 30, ..., 80, and 90 km	12, 56, 78, and 94
Fault inception angle FIA ( $^\circ$ )	$0^\circ$ and $180^\circ$	$0^\circ$ , $75^\circ$ , $135^\circ$ , and $225^\circ$
Fault resistance $R_f$ ( $\Omega$ )	0.1 and 100 $\Omega$	2, 33, 99, and 199

number of representative examples of the phenomenon in question must be selected. Moreover, the neural networks ANNs can learn the fundamental characteristics of the problem and provide correct outputs in new situations which are not considered during the training process. In order to train each ANN to obtain sufficient examples, we considered various fault scenarios at different fault conditions such as different fault locations (between 0 and 100% of line length) with various fault resistances  $R_f$  (0.1, 100  $\Omega$ ) and various fault inception angles FIA (0 and  $90^\circ$ ). The number of these full scenarios is 10 fault locations \* 2 fault resistances \* 2 fault inception angles \* 10 fault types = 400 fault cases destined for the ANN training process. The parameter values used to generate the data training sets and the ANN tests models for the two adopted fault classifier types are illustrated in Table 2.

**4.1.3. Structure of the Neural Fault Classifier.** The determination of hidden layers number and the number of neurons per layer is very important considering that it affects the training time and the generalization property of the neural network. The most used approach to find adequate architectures is based mainly on the various tests and various network configurations. After a series of ANN structure tests and



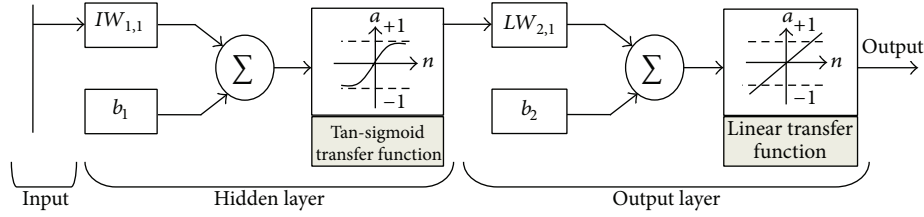


FIGURE 8: Architecture of ANN-based fault classifier ( $FC_1$  and  $FC_2$ ).

TABLE 3: Architecture of modular ANN-based fault classifier ( $FC_2$ ).

Modular ANN-based fault classifier	Architecture	Mean square error (MSE)	Number of epochs
ANN-R	4-6-1	$5.91e - 06$	12
ANN-S	4-5-1	$7.85e - 06$	14
ANN-T	4-8-1	$4.88e - 06$	10
ANN-G	4-6-1	$5.97e - 06$	13

modification, the best architecture obtained of each ANN is that which provides satisfactory results. In this work, the best performance of the two proposed fault classifiers ( $FC_1$  and  $FC_2$ ) is obtained by the three-layer neural network. For all ANNs used for the two proposed fault classifiers ( $FC_1$  and  $FC_2$ ), a “tan-sigmoid” function was used as activation function of the input layer and “purelin” function in the output layer. Figure 8 shows the architecture of each ANN based on fault classifier ( $FC_1$  and  $FC_2$ ).

The numbers of hidden layer neuron for single ANN approach based fault classifier ( $FC_1$ ) are chosen initially as 5 and then increased in step to 10, 15, 20, 25 to 30 as described above. The best performance is achieved by using a three-layer neural network with 16 inputs and 4 outputs, and the optimal number of neurons in the hidden layer was found to be 30 neurons. In this learning strategy, the mean square error (mse) decreases in 100 epochs to  $6.67e-06$  in around 8 min and 35 sec learning time on a PC (P4, 2.13 GHz, 2 GB RAM). The single ANN approach based fault classifier ( $FC_1$ ) requires large training sets and long training time. Also the network complexity is higher, and it has slower learning capability. Although the procedure for development of the architecture of modular ANN-based fault classifier is the same as that of single ANN-based fault classifier, the training time is very less for modular networks approximately 1 min and 49 sec for all four modules and the final architecture of modular ANN-based fault classifier is shown in Table 3.

**4.1.4. Testing of the Fault Classifier.** In order to evaluate the performances of the proposed fault classification algorithms ( $FC_1$  and  $FC_2$ ) based, respectively, on the single neural network approach and the modular artificial neural networks approach, we consider various fault scenarios more than those taken into account during the training process. These scenarios are subjected under various fault conditions such as different fault locations  $L_f$ , different fault resistances  $R_f$ , and different fault inception angles FIA. The tests results of the two proposed fault classifiers ( $FC_1$  and  $FC_2$ ) are presented in Table 4.

The simulation results prove well the precision of the two proposed algorithms. Indeed ANN outputs converge to the desired values (either very near to zero or one). However, it can be seen that, from the tests results presented in Table 4, the modular artificial neural network based on fault classifier ( $FC_2$ ) is more precise than the single artificial neural network based on fault classifier ( $FC_1$ ) since the first one converges towards the desired results with a minimum error compared to the second classifier.

An output of 0.8 or 0.9, given by one of the two suggested fault classification algorithms, represents the same result in fault classification task and indicates at the same time a faulty phase, whereas, for a fault location task, an output of 0.8 implies a fault produced at a distance of 80% from the line length and an output of 0.9 means that the fault is produced at a distance of 90% from the line length. The fault location requires more precision than the fault classification. So the use of single ANN approach for the fault location task presents disadvantages such as complexity, ANN long training time, and less accuracy compared to the modular ANN approach, as already seen for the fault classification task. Consequently, in order to estimate the exact fault location, it was decided to develop an accurate fault location algorithm based on modular artificial neural networks.

**4.2. Fault Location.** The proposed fault location algorithms in this part are based on the modular ANN approach. In this approach, during the appearance of a fault in transmission line, the fault detection and fault classification units identify the fault appearance and its type. Then it activates the fault location unit. The fault classification unit will be capable of determining the fault type if it is single line to ground ( $L-G$ ), double lines ( $L-L$ ), double lines to ground ( $L-L-G$ ), or three-line fault ( $L-L-L$ ). The proposed fault classification unit based on modular ANN approach detects and identifies the fault type. Thus the outputs generated by the fault classification unit activate the particular module of fault locator; see Figure 9. The proposed fault location algorithm consists of four independent ANNs when each

TABLE 4: Results of the fault type classifier using single and modular ANN ( $FC_1$  and  $FC_2$ ).

Fault type	Fault location (Km)	Fault inception angle (°)	Fault resistance ( $\Omega$ )	Network	Desired output				Actual output			
					A	B	C	D	A	B	C	D
A-G	12	25	0	Single ANN	1	0	0	1	1.1112	0.1281	0.1187	0.9287
				Modular ANN	1	0	0	1	1.0013	-0.0071	0.0004	1.0005
	94	225	199	Single ANN	1	0	0	1	0.9051	0.1266	0.1108	1.1290
				Modular ANN	1	0	0	1	1.0071	-0.0003	0.0037	1.0085
C-G	12	25	0	Single ANN	0	0	1	1	-0.0784	0.1420	1.1128	1.2940
				Modular ANN	0	0	1	1	0.0021	-0.0041	1.0093	0.9941
	94	225	199	Single ANN	0	0	1	1	0.1328	-0.1007	1.2871	1.1008
				Modular ANN	0	0	1	1	-0.0074	-0.0032	1.0078	0.9814
A-B-G	12	25	0	Single ANN	1	1	0	1	1.1850	0.9072	0.0088	0.9653
				Modular ANN	1	1	0	1	1.0085	1.0066	-0.0042	1.1473
	94	225	199	Single ANN	1	1	0	1	1.0951	0.9552	0.1178	1.1008
				Modular ANN	1	1	0	1	1.0082	1.0077	-0.0004	0.9993
B-C-G	12	25	0	Single ANN	0	1	1	1	0.1136	1.0951	0.9867	1.1000
				Modular ANN	0	1	1	1	-0.0031	0.9972	1.0007	1.0081
	94	225	199	Single ANN	0	1	1	1	0.1807	1.1009	1.1150	1.087
				Modular ANN	0	1	1	1	-0.0001	1.0023	1.0744	1.0003
A-B-C	12	25	—	Single ANN	1	1	1	0	0.9962	1.1007	1.1105	-0.1042
				Modular ANN	1	1	1	0	1.0087	1.0025	0.9992	0.0035
	94	225	—	Single ANN	1	1	1	0	0.9198	0.9289	1.1008	-0.1008
				Modular ANN	1	1	1	0	1.0008	1.0036	1.0089	0.0429

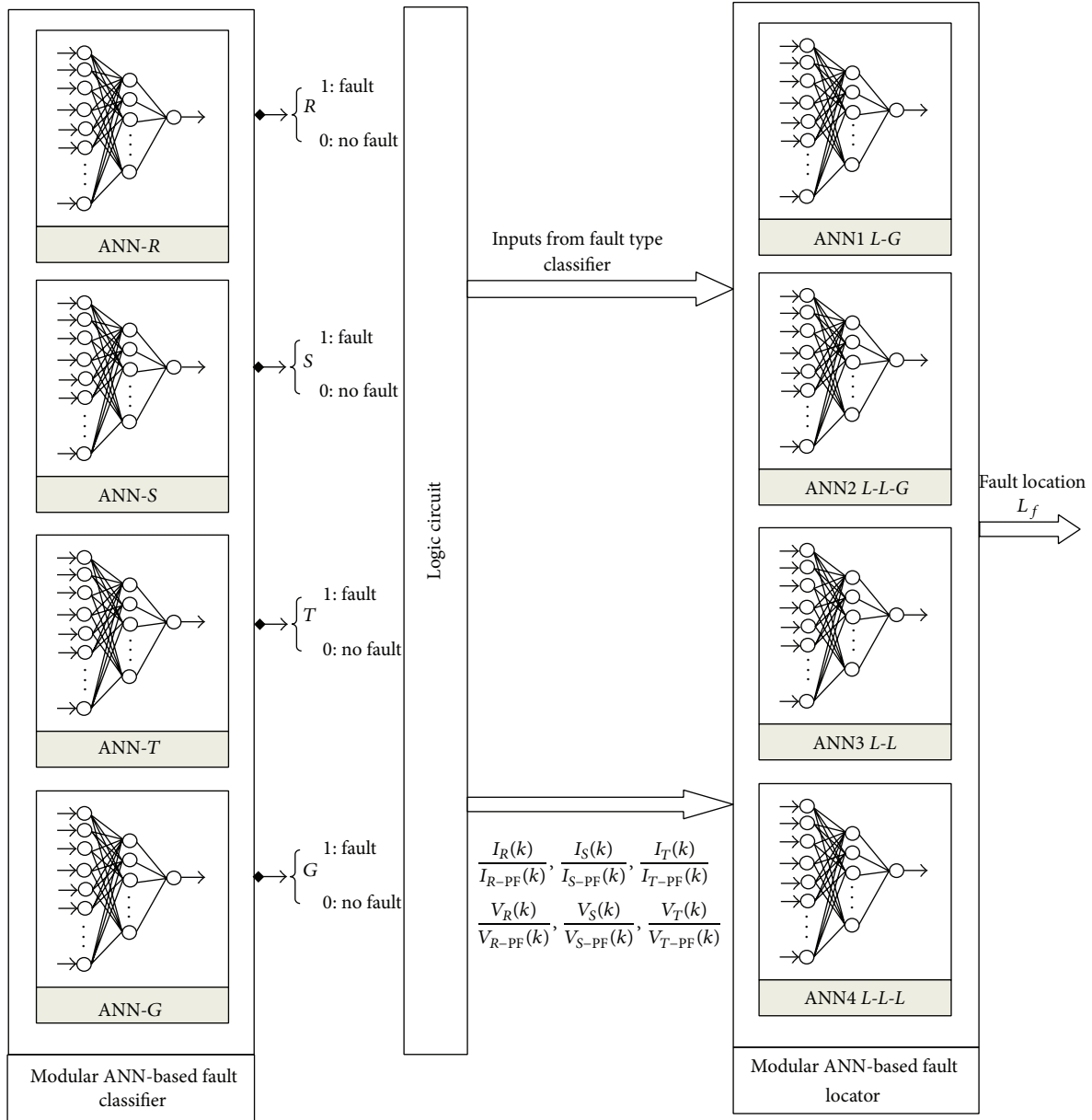


FIGURE 9: The proposed modular ANN-based fault locator.

fault type is trained by a neural network ANN- $k$  with  $k = \{L-G, L-L, L-L-G, \text{ and } L-L-L\}$ . The block diagram of the proposed fault location is shown in Figure 9.

4.2.1. *Inputs and Outputs.* The determination of the inputs and outputs number presents the principal factor in determining the adequate size and the best architecture for the neural network. Hence, the sufficient inputs data to characterize the problem must be assured. In this context, three fault locators are presented. The first ( $FL_1$ ) uses only the magnitudes of the fundamental components of three-phase currents, the second ( $FL_2$ ) uses only the magnitudes of the fundamental components of three-phase voltages, and the third ( $FL_3$ ) uses at the same time the magnitudes of

the fundamental components of three-phase currents and voltages. The purpose of the fault location task is to estimate the exact fault location. Consequently, only obtained outputs by the fault location algorithm corresponding to the fault distance will be provided by the proposed modular neural network based on fault locator.

Thus we indicated by  $Input_{FL_1}$ ,  $Input_{FL_2}$ , and  $Input_{FL_3}$  the inputs vectors taken by each proposed fault locator based on modular ANN approach:

$$Input_{FL_1} = \left[ \frac{I_R(k)}{I_{R-PF}(k)}, \frac{I_S(k)}{I_{S-PF}(k)}, \frac{I_T(k)}{I_{T-PF}(k)} \right],$$

$$Input_{FL_2} = \left[ \frac{V_R(k)}{V_{R-PF}(k)}, \frac{V_S(k)}{V_{S-PF}(k)}, \frac{V_T(k)}{V_{T-PF}(k)} \right],$$

TABLE 5: Training and test generation data of FL<sub>1</sub>, FL<sub>2</sub>, and FL<sub>3</sub>.

Parameter	Training	Testing
Fault type	<i>L-g</i> : R-G, S-G, T-G <i>L-L</i> : R-S, R-T, T-S <i>L-L-g</i> : R-S-G, R-T-G, T-S-G, <i>L-L-L</i> : R-S-T	<i>L-g</i> : R-G, S-G, T-G <i>L-L</i> : R-S, R-T, T-S <i>L-L-g</i> : R-S-G, R-T-G, T-S-G, <i>L-L-L</i> : R-S-T
Fault location $L_f$ (km)	1, 10, 20, 30, ..., 80, and 90 km	05, 06, 07, 09, 12, 13, 14, 23, ..., 90, 94, 96 km
Fault inception angle FIA (°)	0°, 180°, and 270°	5°, 10°, 25°, 40°, ..., 225°, 315°, 360°
Fault resistance $R_f$ (Ω)	0.1, 50, 100, and 150 Ω	2.6, 10, 22, 26, ..., 190, 195 Ω

$$\text{Input}_{\text{FL}_3} = \left[ \begin{array}{c} \frac{I_R(k)}{I_{R\text{-PF}}(k)}, \frac{I_S(k)}{I_{S\text{-PF}}(k)}, \frac{I_T(k)}{I_{T\text{-PF}}(k)}, \\ \frac{V_R(k)}{V_{R\text{-PF}}(k)}, \frac{V_S(k)}{V_{S\text{-PF}}(k)}, \frac{V_T(k)}{V_{T\text{-PF}}(k)} \end{array} \right]. \quad (8)$$

The output for fault location task is given by

$$\text{Output}_{\text{FL}} = [L_f]. \quad (9)$$

**4.2.2. Training Data.** A large number of training data for different ANNs based on fault location task were generated using MATLAB software, taking into account various fault scenarios subjected under different fault conditions such as different fault locations  $L_f$  (1%, 10%, 20%, 30%, ..., 90% of line length), different fault inception angles FIA (0°, 180°, and 270°), and various fault resistances  $R_f$  (0.1 Ω, 50 Ω, 100 Ω, and 150 Ω). Thus, the simulated fault numbers for the ANNs training process are equal to 648 for the fault related to ground: 6 (fault types) \* 9 (fault location) \* 4 (fault resistance) \* 3 (fault inception angles). For faults which did not involve ground the number of fault simulation is equal to 108 simulation cases: 9 (fault locations) \* 4 (fault types) \* 3 (fault inception angles). Consequently, the full number of simulated faults is 756. Table 5 presents the parameter values used to generate the data training sets and test models for the three proposed fault locators.

**4.2.3. Structure of the Neural Fault Locator.** Once the inputs and outputs numbers of each proposed fault locator based on the modular ANN are determined, it is necessary to determine the number of hidden layers and the number of neurons in each hidden layer. The major problems in the ANN architecture design are to make sure that the numbers of hidden layers and the number of neurons in each hidden layers converges to the adequate results (exact fault location with a minimum error) with a fast response time. ANNs architectures, including the input network number, the hidden layers number, and the neurons number in each hidden layer are given due to an experimental study with various network configurations. Through a series of tests and modifications of ANNs architectures, the final architecture for the different ANNs leads to the best performance that is obtained using a neural network with three layers. The

number of neurons in the input layer corresponds to the inputs variable number in ANNs. The number of neurons in the hidden layers was given after a series of tests, and for the output layer only one neuron corresponds to the fault distance.

All computation time for the three adopted fault locators (FL<sub>1</sub>, FL<sub>2</sub>, and FL<sub>3</sub>) is carried on a PC (P4, 2.13 GHz, and 2 GB RAM). The training time for the first fault locator (FL<sub>1</sub>) is approximately 11 min and 35 sec for all four modules. For the second fault locator (FL<sub>2</sub>) the training time is about 12 min and 31 sec for all four modules. The third fault locator (FL<sub>3</sub>) has a training time equal to 8 min and 17 sec for all four modules. Hence, it can be seen that the third fault locator (FL<sub>3</sub>), which uses current and voltage phasor magnitudes, presents a fast training time compared to the other fault locator algorithms.

The final architectures of the proposed modular ANN-based fault locator for each algorithm are given by Table 6.

**4.2.4. Testing of the Fault Locator.** Once the ANNs training procedure is entirely carried out, the fault locators FL<sub>1</sub>, FL<sub>2</sub>, and FL<sub>3</sub> based on modular ANN approach are tested with various fault scenarios which are not presented during the training process. These lasts are tested under various fault conditions, such as different fault location ( $L_f = 0\text{--}100\%$  of the line length), different values of the fault resistances ( $R_f = 0\text{--}200\ \Omega$ ), and various fault inception angles (FIA = 0°–360°). Furthermore, the influences of the fault condition variation were tested.

The percentage error relating to fault location task is based on the following equation:

$$\begin{aligned} \text{Absolute Error} \\ = \frac{|\text{Estimated Distance} - \text{Actual Distance}|}{\text{Length of line}} * 100. \end{aligned} \quad (10)$$

(1) *Influence of the Fault Type and the Fault Location.* Table 7 presents the effect of the fault type on the proposed fault location algorithms (FL<sub>1</sub>, FL<sub>2</sub>, and FL<sub>3</sub>). Indeed, the examined fault types are phase-ground faults (*L-G*), phase-phase-ground faults (*L-L-G*), phase-phase faults (*L-L*), and phase-phase-phase faults (*L-L-L*). According to the test results in Table 7, the percentage error, for the fault location algorithm FL<sub>1</sub> which uses only currents magnitudes of the fundamental components (50 Hz) of three phases (*R*, *S*, and *T*), lies between 0.1007% and 1.4599%. For the algorithm

TABLE 6: Architectures of ANN based fault locators (FL<sub>1</sub>, FL<sub>2</sub>, and FL<sub>3</sub>).

Modular ANN-based fault locator	Proposed fault locator	Architecture	Mean square error (MSE)	Training time (min)
1 phase to ground	FL <sub>1</sub>	3-14-1	$4.23e - 04$	2.80
	FL <sub>2</sub>	3-16-1	$5.38e - 03$	3.32
	FL <sub>3</sub>	6-32-1	$9.71e - 06$	2.43
Phase to phase	FL <sub>1</sub>	3-16-1	$3.27e - 04$	2.19
	FL <sub>2</sub>	3-18-1	$4.99e - 04$	2.92
	FL <sub>3</sub>	6-28-1	$8.66e - 05$	2.88
2 phases to ground	FL <sub>1</sub>	3-13-1	$3.88e - 03$	3.14
	FL <sub>2</sub>	3-18-1	$4.99e - 04$	3.28
	FL <sub>3</sub>	6-30-1	$6.82e - 05$	2.12
3 phases	FL <sub>1</sub>	3-8-1	$3.62e - 04$	2.82
	FL <sub>2</sub>	3-14-1	$3.74e - 04$	2.79
	FL <sub>3</sub>	6-18-1	$7.33e - 05$	2.34

FL<sub>2</sub> which uses only voltages magnitudes of the fundamental components (50 Hz) of three phases (*R*, *S*, and *T*), the percentage error varies between 0.1086% and 1.2862%. For the third proposed algorithm FL<sub>3</sub> using the magnitudes of the fundamental components of three-phase currents and voltages, the percentage error is within 0.0175% and 0.3041%. Thus, it can be seen from the test results that the proposed fault locator algorithm (FL<sub>3</sub>) is more accurate than FL<sub>1</sub> and FL<sub>2</sub>. Thus, the percentages errors prove well the capacity of the proposed modular ANN-based fault locator FL<sub>3</sub> to determine the exact fault distance, compared to FL<sub>1</sub> and FL<sub>2</sub>.

(2) *Influence of the Fault Resistance.* The effect of the fault resistance on the precisions of the proposed fault location algorithms (FL<sub>1</sub>, FL<sub>2</sub>, and FL<sub>3</sub>) was tested on the power system study. The simulation results given by Table 8 show the effects of  $R_f$  on accuracy of the proposed algorithms. In addition, these algorithms were tested for various fault resistances  $R_f$  for a “phase-ground fault (*R-G*)” among a fault distance equal to 75 Km and for an inception angle FIA equal to 10°. During the test the percentage error estimated by the proposed fault location algorithms lies between 0.1111% and 1.2019% for FL<sub>1</sub>, 0.2218% and 1.9713% for FL<sub>2</sub>, and 0.0912% and 0.3071% for FL<sub>3</sub>. Consequently, the proposed modular ANN-based fault locator uses the magnitudes of the fundamental components of three-phase currents and voltages (FL<sub>3</sub>), is highly accurate compared to FL<sub>1</sub> and FL<sub>2</sub>, and is practically independent of the fault resistance.

The criteria for evaluating the performance characteristics of the proposed fault locator based on modular ANN are translated by the stability of ANN output values in the normal situation and in the fault situation. Thus, minimal response time  $T_r$ , which presents the difference between the fault appearance time  $T_f$  and the time  $T_e$  where the ANN output indicates the exact fault location, is expressed as follows:

$$T_r = T_f - T_e. \quad (11)$$

The best ANN based on fault locator is obtained by the stability of ANN outputs under minimal response time. Therefore, the ANN output is stable in the normal situation

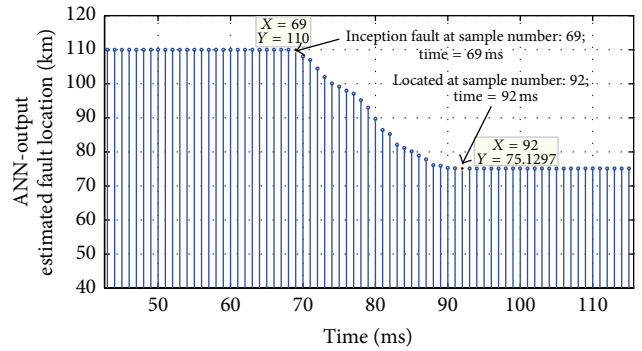


FIGURE 10: Test result of FL<sub>3</sub> during *R-G* fault with  $L_f = 75$  Km,  $R_f = 200 \Omega$ , and FIA = 10°.

and in the fault situation and capable of providing fast and exact fault location with a wide variety of fault conditions. In our study case the ANN-based fault locator is trained to show the output as 110 Km for no fault situation or for fault outside the line segment. For faults which appeared on the line segment, the ANN is trained to show the output as the exact fault position.

In a perspective to evaluate the response time of the proposed algorithm, we simulated a single phase to ground fault (*R-G*) with  $L_f = 75$  km,  $R_f = 200 \Omega$ , and a fault inception angle FIA = 10° corresponding to the occurrence fault at time 69 ms; see Figure 10. The output of the proposed fault location algorithm FL<sub>3</sub> converges to 75.1297 km at time equal to 92 ms as against the set value of 75 km. The response time  $T_r$  of the proposed algorithm is about 23 ms. This proves that the modular ANN-based fault locator responds quickly to the desired outputs with minimum error.

(3) *Influence of the Fault Inception Angle.* In practice, the faults can occur at any line location; that is, the fault inception angle FIA cannot be defined in advance. Thus, it is important to check the performance of the proposed algorithm with various fault inception angles FIA. In this context, we simulated a double phase to ground fault with



TABLE 7: The effect of the fault type and the location of modular ANN-based fault locators ( $FL_1$ ,  $FL_2$ , and  $FL_3$ ).

Fault type	Fault location (Km)	Fault inception angle (°)	Fault resistance ( $\Omega$ )	Output of ANN-based $FL_1$ (Km)	Output of ANN-based $FL_2$ (Km)	Output of ANN-based $FL_3$ (Km)	Percentage error of ANN-based $FL_1$ (%)	Percentage error of ANN-based $FL_2$ (%)	Percentage error of ANN-based $FL_3$ (%)	
Single line to ground faults ( $L-g$ )	07	325	26	06.8971	07.1137	07.0196	0.1029	0.1137	0.0196	
	13	125	130	13.4461	12.5841	12.7410	0.4461	0.4159	0.2590	
	23	145	2.6	22.6988	23.3415	22.8875	0.3012	0.3415	0.1125	
	34	275	195	35.2511	35.1286	34.2173	1.2511	1.1286	0.2173	
	47	5	120	46.1081	47.4954	47.2511	0.8919	0.4954	0.2511	
	58	25	95	57.0910	58.3599	58.1271	0.9090	0.3599	0.1271	
	66	215	122	67.1241	66.9714	66.2791	1.1241	0.9714	0.2791	
	75	10	53	75.6487	74.4259	74.8118	0.6487	0.5741	0.1882	
	83	40	144	82.1475	81.9471	82.8334	0.8525	1.0529	0.1666	
	96	135	125	94.5401	97.0778	95.7126	1.4599	1.0778	0.2874	
	Double line to ground faults ( $L-L-g$ )	09	25	10	10.1712	09.1783	9.0708	0.1712	0.1783	0.0708
		14	55	2.6	13.8277	13.8054	13.9271	0.1723	0.1946	0.0729
26		125	190	24.9810	24.7138	25.7297	1.0190	1.2862	0.2703	
38		225	70	38.5714	38.4293	38.1866	0.5714	0.4293	0.1866	
44		315	95	44.9141	44.9785	44.2317	0.9141	0.9785	0.2317	
52		360	55	52.7129	52.6129	52.1711	0.7129	0.6129	0.1711	
63		120	170	62.1259	64.0709	62.7199	0.8741	1.0709	0.2801	
78		90	99	78.8012	77.0878	78.1531	0.8012	0.9122	0.1531	
88		120	65	88.1150	86.8019	87.8914	1.1150	1.1981	0.1086	
92		75	120	92.9908	93.1599	92.1705	0.9908	1.1599	0.1705	
Line to line faults ( $L-L$ )		06	325	—	06.2371	05.8914	05.9825	0.2371	0.1086	0.0175
		16	125	—	16.1099	16.2514	16.0180	0.1099	0.2514	0.0180
	22	145	—	22.4147	21.9471	22.3041	0.4147	0.0529	0.3041	
	31	275	—	31.1945	34.1286	30.9197	0.1945	0.1286	0.0803	
	45	5	—	45.3274	45.2748	45.0923	0.3274	0.2748	0.0923	
	54	25	—	54.2998	55.0074	54.1359	0.2998	1.0074	0.1359	
	67	215	—	67.1929	67.2387	66.8147	0.1929	0.2387	0.1853	
	77	10	—	77.4128	76.7035	76.8041	0.4128	0.2965	0.1959	
	82	40	—	82.4511	82.6326	81.9033	0.4511	0.6326	0.0967	
	90	135	—	90.7080	92.8615	90.2734	0.7080	0.8615	0.2734	
	Three-line faults ( $L-L-L$ )	05	25	—	05.1288	05.1431	04.9212	0.1288	0.1431	0.0788
		12	55	—	12.1007	12.2041	12.0704	0.1007	0.2041	0.0704
23		125	—	23.2051	22.7733	23.1097	0.2051	0.2267	0.1097	
36		225	—	35.8134	35.2010	36.0914	0.1866	0.7990	0.0914	
42		315	—	42.1275	41.7187	42.0868	0.1275	0.2813	0.0868	
57		360	—	57.3488	57.4009	56.8003	0.3488	0.4009	0.1977	
66		120	—	66.2914	65.2799	66.1277	0.2914	0.7201	0.1277	
74		90	—	73.6811	75.0719	73.8384	0.3189	1.0719	0.1616	
83		120	—	82.4087	83.6729	82.7337	0.5913	0.6729	0.2663	
94		75	—	95.9971	94.9129	94.2053	0.9971	0.9129	0.2053	

TABLE 8: The effect of the fault resistance of modular ANN-based fault locators (FL<sub>1</sub>, FL<sub>2</sub>, and FL<sub>3</sub>).

Fault conditions			Desired output (Km)	Actual output (Km)			Error (%)		
Fault type	FIA (°)	R <sub>f</sub> (Ω)		FL <sub>1</sub>	FL <sub>2</sub>	FL <sub>3</sub>	FL <sub>1</sub>	FL <sub>2</sub>	FL <sub>3</sub>
R-G	10°	0	75	74.8889	75.3175	75.0912	0.1111	0.3175	0.0912
R-G	10°	10	75	74.7792	74.7782	75.1008	0.2208	0.2218	0.1008
R-G	10°	100	75	75.8217	75.3390	73.7193	0.8217	1.3390	0.2807
R-G	10°	150	75	75.8944	75.6008	75.3071	0.8944	0.6008	0.3071
R-G	10°	200	75	76.2019	76.9713	75.1297	1.2019	1.9713	0.1297

TABLE 9: The effect of the fault inception angle of modular ANN-based fault locators (FL<sub>1</sub>, FL<sub>2</sub>, and FL<sub>3</sub>).

Fault conditions			Desired output (Km)	Actual output (Km)			Error (%)		
Fault type	R <sub>f</sub> (Ω)	FIA (°)		FL <sub>1</sub>	FL <sub>2</sub>	FL <sub>3</sub>	FL <sub>1</sub>	FL <sub>2</sub>	FL <sub>3</sub>
R-S-G	33	30°	11	11.3129	10.9023	11.0009	0.3129	0.0977	0.0009
R-S-G	33	60°	11	10.6189	10.7948	10.8984	0.3811	0.2052	0.0967
R-S-G	33	90°	11	11.2009	11.2078	11.1299	0.2009	0.2078	0.1299
R-S-G	33	180°	11	11.3914	11.5851	11.1007	0.3914	0.4149	0.1007
R-S-G	33	360°	11	11.4015	11.4197	10.8392	0.4015	0.4197	0.1608

TABLE 10: The effect of critical fault condition of modular ANN-based fault locators (FL<sub>1</sub>, FL<sub>2</sub>, and FL<sub>3</sub>).

Fault conditions			Desired output (Km)	Actual output (Km)			Error (%)		
Fault type	FIA (°)	R <sub>f</sub> (Ω)		FL <sub>1</sub>	FL <sub>2</sub>	FL <sub>3</sub>	FL <sub>1</sub>	FL <sub>2</sub>	FL <sub>3</sub>
S-G	360°	199	96	93.7422	93.5863	95.8197	2.2578	2.4137	0.1803
S-T	360°	—	96	96.7001	96.8100	95.7881	0.7001	0.8100	0.2119
S-T-G	360°	199	96	93.8066	97.9806	96.3011	2.1934	1.9806	0.3011
R-S-T	360°	—	96	95.0009	97.1732	96.2999	0.9991	1.1732	0.2999

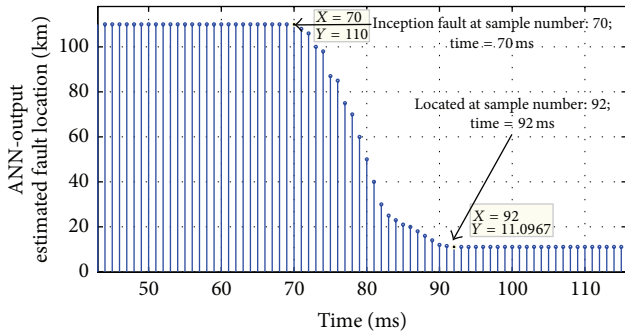


FIGURE 11: Test result of FL<sub>3</sub> during R-S-G fault with L<sub>f</sub> = 11 Km, R<sub>f</sub> = 33 Ω, and FIA = 60°.

fault resistance R<sub>f</sub> = 33 Ω, fault location L<sub>f</sub> = 11 Km, and various fault inception angles FIA (30°, 60°, 90°, 180°, and 360°). The simulation results are presented in Table 9. It can be seen from these results that the percentage error for the estimation of the fault using FL<sub>3</sub> is between 0.0009% and 0.1608%, that of FL<sub>1</sub> is between 0.2009% and 0.4015%, and that of FL<sub>2</sub> lies between 0.0977% and 0.4197%. Consequently, it is clearly obvious that algorithm FL<sub>3</sub> is more accurately compared to other algorithms (FL<sub>1</sub> and FL<sub>2</sub>). Consequently, the proposed algorithm (FL<sub>3</sub>) is practically independent of the fault inception angle.

In order to show the fast convergence of the proposed algorithm FL<sub>3</sub> under the influence of fault inception angle FIA, a double phase to ground fault (R-S-G) with fault location L<sub>f</sub> = 11 km, fault resistance R<sub>f</sub> = 33 Ω, and fault inception angle FIA = 60°, a fault occurrence at time 70 ms was simulated; see Figure 11. We noticed that the fault locator (FL<sub>3</sub>) makes it possible to locate the fault with a good precision and a fast convergence time. The fault occurrence at time T<sub>f</sub> = 70 ms was located at time T<sub>e</sub> = 92 ms at a distance L<sub>f</sub> = 11.0967, which implies a fast response time about T<sub>r</sub> = 22 ms and a precision of 0.0967%. Thus it is clear that the proposed fault locator based on modular ANN (FL<sub>3</sub>) can accurately locate the fault with high fault inception angle FIA.

(4) *Influence of Critical Fault Conditions.* In this context, we simulated various fault types under extreme fault conditions such as maximum fault resistance (R<sub>fmax</sub>), maximum fault inception angle (FIA<sub>max</sub>), and a fault location created at 96 Km for the transmission line (L<sub>fmax</sub>). Hence, the three proposed algorithms were tested on the four fault types and the simulation results are illustrated in Table 10. Thus, it can be seen that the proposed algorithm FL<sub>3</sub> is more accurate and presents high performances especially for critical fault conditions compared to other algorithms FL<sub>1</sub> and FL<sub>2</sub>. The corresponding percentage error represents very satisfactory results.

TABLE II: Comparison of ANN-based fault classification and location schemes.

Algorithms suggested	Fault classifier inputs	Fault locator inputs	FIA range (°)	$L_f$ range (%)	$R_f$ range ( $\Omega$ )	%Error range	Response time
Joorabian et al. [22]	Five consecutive samples of three-phase currents and voltages	Five consecutive samples of three-phase currents and voltages	0–90°	0–94%	0–100	0.0397% to 0.4123%	Not indicated
Mahanty and Gupta [10]	Five consecutive samples of three-phase currents	Five consecutive samples of three-phase currents and voltages	0–90°	0–82%	0–200	0.0007% to 4.45%	Not indicated
Jiang et al. [31]	Negative-sequence components of three-phase currents and voltages quantities	Negative-sequence components of three-phase currents and voltages quantities	Not indicated	Not indicated	Not indicated	0.41% to 0.54%	1.28 cycles
Yadav and Thoke [32]	No method for fault classification	Three consecutive samples of three-phase currents and voltages	Not indicated	0–90%	0–100	0.052% to 1.5693%	1.5 cycles
Proposed scheme	Four consecutive samples of three-phase currents	Magnitudes of fundamental components of three-phase currents and voltages	0–360°	0–96%	0–200	0.0175% to 0.3041%	1 cycle time from inception of fault

In the same way, this algorithm is qualified effective since it presents a fast response time in convergence to the desired results. Indeed, we simulated two phases to ground faults (S-T-G) at time 75 ms with  $L_{f \max} = 96$  km,  $R_{f \max} = 199 \Omega$ , and a fault inception angle FIA = 360°; see Figure 12. We noticed that the proposed fault locator (FL<sub>3</sub>) located the fault at time  $T_e = 100$  ms at a distance  $L_f = 96.2999$  which implies a fast response time equal to  $T_r = 25$  ms and a precision of 0.2999%; see Figure 12. This shows that the modular ANN-based fault locator converges correctly with fast time when the transmission line is affected by several faults under extreme fault conditions.

## 5. Comparison between Proposed and Existing Schemes

The suggested fault classification and location algorithms, based on modular ANN, are compared with some former works. These proposed algorithms are developed for all the ten fault types, which can affect a transmission line, under various fault conditions such as wider range of fault resistance  $R_f$ , different fault inception angles FIA, and different fault location  $L_f$ . The main features of certain existing artificial neural network-based fault classification and location algorithms are presented in Table II.

The accuracy of the proposed fault location algorithm (FL<sub>3</sub>) lies between 0.0175% and 0.3041%, as indicated in Table II. This shows the high performance of the (FL<sub>3</sub>)

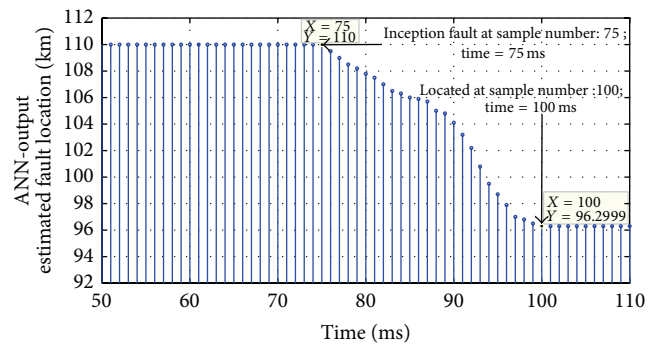


FIGURE 12: Test result of FL<sub>3</sub> during S-T-G fault with  $L_f = 96$  Km,  $R_f = 199 \Omega$ , and FIA = 360°.

algorithm and proves that it is more accurate than the existing algorithms. Thus in this present work, we proved that the response time of the proposed fault classification and fault location algorithms is estimated to one cycle from the fault occurrence. This response time is comparable to the classical distance relay protection [32].

## 6. Conclusion

An efficient fault classification and location algorithms in extra high voltage (EHV) transmission lines based on artificial neural networks were presented. For fault classification,

two algorithms were proposed: the first one used a single ANN approach, and the other used the modular ANN approach. Prefault and postfault samples of three-phase currents were used as inputs for these algorithms. A comparative study of the single and modular neural network shows that the modular approach gives more accuracy in order to identify the fault type. For fault location, three algorithms were developed. The first treats only the fundamental magnitudes of the three-phase currents samples, the second treats the fundamental magnitudes of the three-phase voltages samples, and the third uses the fundamental magnitudes of three-phase currents and voltages samples. The modular approach of neural networks was applied to evaluate these algorithms. The simulation results of these algorithms have been shown under a variety of fault situations such as different fault locations, different fault inception angles, and different fault resistances. The obtained results prove that the proposed modular ANN-based fault distance locator algorithm which uses fundamental magnitudes of three-phase currents and voltages is the most effective fault locator. The obtained results indicate that the proposed fault protection algorithm based on modular ANNs approach is capable of identifying all fault types and of estimating the exact fault location in the transmission lines with high accuracy. Moreover, the response of the proposed fault protection algorithm requires one cycle from the inception fault. Therefore, the modular ANN-based fault protection can be used for online fault classification and location in transmission lines.

### Conflict of Interests

The authors declare that there is no conflict of interests regarding the publication of this paper.

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