## SEISMIC DESIGN MANUAL FOR

## INTERLOCKING COMPRESSED EARTH BLOCKS

A Thesis presented to the Faculty of California Polytechnic State University, San Luis Obispo

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# Abstract <br> Seismic Design Manual for Interlocking Compressed Earth Blocks 

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This thesis presents a comprehensive seismic design manual to be used to design and construct simple Interlocking Compressed Earth Block (ICEB) structures in seismically active regions. ICEBs are earth blocks made primarily of soil and stabilized with cement. They have female and male stud mechanisms designed to interlock when stacked, eliminating the need for mortar. The blocks can accept reinforcement and grout after they are placed. While ICEB construction is similar to conventional masonry construction, current design code standards for masonry only partially capture the actual behavior of ICEB structures. This thesis seeks to supplement the existing masonry design procedures and tailor them for use with ICEBs.

Additionally, this paper presents a preliminary design of ICEB shear walls for a disaster reconstruction project in the Philippines. While many structures in Southeast Asia and the Malay Archipelago are constructed from earthen blocks, very few are engineered. Of those that are, a lack of formal design guidance specific to ICEB construction leaves most engineers and designers with conventional concrete masonry design practices, some of which are not applicable for use with ICEBs.

Keywords: Interlocking Compressed Earth Blocks, Seismic Design, Masonry Design

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A note on structural seismic design and the use of this manual:

This manual attempts to consolidate published research on the seismic design of interlocking compressed earth block (ICEB) structures. It provides recommendations of engineering methods and equations to approximately quantify the seismic behavior of this material. This manual is based on the Load and Resistance Factor Design methodology and uses metric units. Although all the recommendations are based on the current concrete masonry code and are by nature conservative, they should be used with caution. The test results to date that this manual is based upon were primarily from cyclic pseudo-static loading protocols and not dynamic tests. This loading type was used to gain quantifiable information about the failure modes and failure behavior of ICEBs. These blocks may perform differently or unexpectedly under dynamic type loading. Also, until more tests are performed to supplement and verify the published results, the current pool of information is not sufficient to support codification of standards for ICEBs as a building material.

There is some anecdotal evidence that some existing ICEB structures have performed well in recent earthquakes. This information should be taken with caution. Even poorly designed structures can perform well in certain seismic events due to a number of variables, including fundamental building period, ground motion attenuation relationships, soil profiles, and reinforcement detailing.

## Chapter 1: Introduction

In recent years, a need has been identified for a low-cost, sustainable housing alternative to aid in disaster reconstruction in developing countries where material costs are high and human capital is abundant. Interlocking compressed earth blocks (ICEBs) can meet this need. People in Southeast Asia and parts of Indonesia and the Philippines already use ICEBs as a building material, but there is no clear seismic design guidance for engineers and designers. This seismic design manual serves to unify existing research and tailor it for use with the Masonry Society Joint Committee (MSJC) building code (also known as ACI 530), modifying the code recommendations where necessary for use with ICEBs.

The scope of this manual is limited to design recommendations for one story compressed earth block structures in seismic regions. As such, the reinforcement recommendations are tailored for these cases. The requirements for special reinforced masonry shear walls in the 2008 MSJC are modified for use with ICEBs where necessary. These requirements may not apply for structures in low seismic areas.

To demonstrate the use of the seismic design recommendations, a sample design of the lateral earthquake force resisting system of a quadruplex in the Philippines is presented as part of a disaster reconstruction effort.

Chapter 2 summarizes the current research on ICEBs, including material property experimental results and shear wall loading test results. A more in-depth examination of the research results and how they can be applied in design situations is presented in Chapter 4.

Chapter 3 discusses the socioeconomic and environmental sustainability advantages of earthen construction, especially interlocking compressed earth blocks.

Chapter 4 examines current research results and provides modified equations based on the MSJC. Design principles are taken from ASCE 7 as well as seismic design documents such as FEMA P695 among others.

A discussion of seismic design criteria for the Philippines is presented in Chapter 5, with probabilistic seismic hazard data for the region provided by the United States Geological Survey.

Chapter 6 details the design calculations and drawings for the quadruplex, with supporting calculations in the Appendix.

Chapter 7 concludes the manual and identifies future research topics from a practical design perspective with the goal of eventual institutional acceptance of ICEBs and codification of design standards.

## Chapter 2: Literature Review

This thesis unifies the knowledge that has been gathered recently at California Polytechnic State University concerning the seismic performance of ICEB structures. This includes the material properties of ICEB's, their flexural and shear performance in lateral load resisting walls, the strength of rebar lap splices, grout strength, and their flexural performance in out of plane loading cases. Additionally, there have been some papers written by other individuals concerning ICEB block deterioration over time, ICEB construction, and ICEB testing and production standards.

## Large Scale Structural Performance Tests

Bland (2011) and Stirling (2011) authored companion theses summarizing test results for in-plane cyclic shear strength and in-plane cyclic flexural strength, respectively, of ICEB shear walls. Bland developed a stress strain curve for ICEB block and grout prisms that matched a modified Hognestad model. He used a grout mix with experimentally determined proportions of cement, lime, water, and sand to make it fluid and workable. Bland cast the grout into plastic test cylinders (non-porous samples) and also into spare blocks (porous samples) to study the effects of moisture absorption on the grout compressive strength. He found that grouted ICEB prisms had an average compressive strength of 3.0 MPa , the non-porous grout samples had an average compressive strength of 5.1 MPa , and the porous grout samples had an average compressive strength of 9.2 MPa .

Bland tested three 1.8 meter by 1.8 meter walls under cyclic in-plane loading. He did not put horizontal shear reinforcement in the first two walls with the intention of causing a shear failure, characterized by stiffness degradation and post-peak strength loss. His first wall was partially grouted, the second wall was fully grouted, and the third was fully grouted and reinforced with (3) \#3 reinforcing bars intended to increase shear
capacity to reach a flexural failure. Walls 1 and 2 exhibited shear failures characterized by diagonal cracking. The third wall experienced 20 mm of displacement ( $1.11 \%$ drift) initially due to an input error, resisting a maximum of about 50 kN during the loading. This caused a local failure at the top of the wall consistent with life safety damage. This was instructive based on ASCE 7-05 code drift limits for masonry shear walls of $0.7 \%$ (Table 12.2-1). The wall was flexible enough to sustain significantly more than code allowed drift while sustaining only local life safety damage.


Figure 1: Wall 2 shear failure characterized by diagonal cracking and sliding displacement (Bland 2011)

Bland ultimately found that the steel reinforcing increased the lateral force capacity of the wall but the capacity of the masonry was much smaller than anticipated by the current masonry code. Bland modified the Masonry Standards Joint Committee (MSJC) equation 3-23 to reduce the contribution of ICEB masonry to shear strength. He theorized that the solid grout cores provided resistance to shearing motion but that the dry stack interlocking action did little to contribute to shear strength, unlike the block interface in regular CMU construction. Conventional masonry is assumed to provide
shearing resistance in proportion to the net mortared cross sectional area. Bland also found that, as load increased, most of the displacement of the wall was primarily due to shear displacement and sliding between the block interfaces.

In the companion investigation, Stirling tested three walls, each of differing dimensions and features. The first wall was 0.9 meter by 1.8 meter, half the aspect ratio of Bland's third wall. Stirling's goal was to investigate the effect of aspect ratio on lateral in-plane performance. This wall failed in flexure as anticipated, taking a maximum of 13.2 kN in the pull direction and 14.5 kN in the push direction. The results showed that the current concrete masonry code (MSJC) accurately predicts the flexural capacity of reinforced ICEB walls.


Figure 2: Wall 4 flexural failure characterized by spalling at the wall toe due to buckling of the vertical rebar (Stirling 2011)

The next wall was 1.8 meter by 1.8 meter with a 0.75 meter flange at one end to investigate strength contributions from flanges. The flange in tension exhibited approximately the same displacement ductility (defined as ultimate displacement over
yield displacement) as the wall without the flange, but the flange in compression increased the displacement ductility by about $20 \%$. Stirling tested one more wall, a 1.8 meter by 1.8 meter wall with a 0.9 meter by 0.9 meter opening in the center to investigate the formation of plastic hinges and the mechanism of shear and moment transfer through the opening. Stirling found that the development of the plastic hinge at each joint occurred at about 75\% of the predicted plastic moment capacity using conventional reinforced concrete methods.

Herskedal (2012) investigated the out of plane flexural strength of ICEB walls and introduced pilaster requirements for out of plane stiffness. Herskedal found that ICEB walls are far more flexible than conventional concrete masonry, so he used the deformation limit of $0.7 \%$ found in ASCE 7-05 12.12.1 to determine the required stiffness. Adding stiffening elements such as pilasters increased the out of plane stiffness by over 16 times that of walls without stiffeners. Also, in seismically active areas, Herskedal recommended pilasters should be spaced no farther than 3.0 to 3.5 meters. Herskedal also found that plastering ICEB walls reduces some of the inherent out of plane rotation due to gaps in ICEB walls created by the bottom chamfers and variable geometry of the blocks. In some cases, this reduction in rotation translated to up to a $75 \%$ decrease in nominal displacement relative to unplastered walls.


Figure 3: Out of plane rotation of an unplastered wall due to gaps in blocks (Herskedal 2012)

Proto et. al (2010) assembled an "ICEB Design and Construction Manual" as part of a senior project at California Polytechnic State University, San Luis Obispo. It included geotechnical soil analyses, block production procedures and recommendations, general testing and quality control techniques, and simplified seismic design procedures. This manual provided the basis for the soil mixes and block production techniques used in later ICEB experiments. Proto and his team developed a drop test to determine soil mix suitability for pressing and a pocket penetrometer test to test the strength of freshly pressed blocks. They referenced information from previous studies, including target block compressive strength (Reddy and Gupta, 2005), block production statistics (Houben and Guillard, 1994), and block soil composition and clay content (Venkatarama et. al, 2007 and Burroughs 2006). According to Proto et. al, soil used to produce ICEB's should meet several criteria, including linear shrinkage limits, minimum percentage of
sand ( $65 \%$ ) and recommended clay content ( $15 \%$ ), maximum percentage of gravel (10\%) and minimum percentage fines content (15\%), medium plasticity and toughness, and no organic matter.

Kerali (2004) performed a study on the durability and deterioration rate of ICEB structures exposed to weather. He investigated two structures on the outskirts of Kampala, the capital of Uganda. Both had been abandoned without roofing for over 8 years. He identified two main categories of durability concerns: surface cracking and erosion. At the time of production, the blocks had an average compressive strength of 4.2 MPa, clay content of $12 \%$, silt content of $12 \%$, sand content of $68 \%$, gravel content of $8 \%$, cement content of $5 \%$, and water absorption of $10.3 \%$. He found a maximum of about $39 \%$ mean volume reduction in the two studied buildings due to rainwater exposure. Kerali determined that block elevation, block orientation on the façade, and age of the building all contributed to the loss in volume of the blocks. Blocks lower in the façade tended to lose more volume due to rainwater running down the walls.

Blocks on the east and west elevations tended to lose more volume for exposure reasons, and the fact that each building had been exposed to the elements for 8 years showed a level of deterioration consistent with this exposure.

Reddy and Gupta (2005) conducted experiments with blocks comprised of sandy soils to determine the effect of cement content on material properties. Reddy and Gupta used manually pressed non interlocking blocks that were $305 \mathrm{~mm} \times 143 \mathrm{~mm} \times$ 100 mm . The soil mix had $9 \%$ clay, $17.7 \%$ silt, and $73.3 \%$ sand. They tested blocks made with three cement contents: $6 \%, 8 \%$, and $12 \%$ cement by weight for wet compressive strength, rate of water absorption, flexural strength, tensile strength, pore size, and stress-strain behavior. Of particular interest is the test for pore size. The authors obtained scanning electron microscopy images of block samples and used the magnified images to estimate pore size and porosity (taken as pore size area over whole
area of image). They found that cement content influences the size of pores, with the 6\% cement sample having larger pores than the $8 \%$ and $12 \%$ samples. However, the porosity ratio remained the same for all three cement contents because the blocks with higher cement contents have more pores that are smaller. Also, Reddy and Gupta found that wet compressive strength, flexural strength, and direct tensile strength increase with higher cement contents. The wet compressive strength results are shown in Figure 4:


Figure 4: Wet compressive strength varying with cement content (Reddy \& Gupta 2005)

The total water absorption did not depend on the cement content, with all three samples absorbing about 11-12\% moisture during the experiments. The initial rate of absorption, however, is directly tied to cement content and decreases four times when doubling cement content from $6 \%$ to $12 \%$.

The modulus of rupture of the blocks was found to be between 15 to $18 \%$ of the block compressive strength. This contrasts with the modulus of rupture of concrete masonry blocks as approximately 2.5\% of compressive strength (based on Table 3.1.8.2 in the Building Code Requirements for Masonry Structures (ACI 530) and Table 2 in the Specification for Masonry Structures (ACI 530.1). The axial tensile strength was found
to be between 5 and $6 \%$ of the block compressive strength, which contrasts with the axial tensile strength of concrete masonry as about $9.5 \%$ of compressive strength (based on Table 2 in the Specification for Masonry Structures (ACI 530.1) and concentric axial tensile tests performed by Hamid and Drysdale (1982).

Each block failed at about 0.003 strain, which is consistent with the strain limits imposed by the MSJC Section 3.3.2 (c) of 0.0025 strain. However, this limit is for mortared hollow masonry prisms, not for individual blocks as tested by Reddy and Gupta. Bland (2011) tested grouted prisms with interlocking rhino blocks of slightly different dimensions than Reddy and Gupta ( $300 \mathrm{~mm} \times 150 \mathrm{~mm} \times 100 \mathrm{~mm}$ ) and found much more ductile strain limits, with prisms failing around 0.012 strain. The addition of grout and mortar increased the deformation capabilities of the prism specimens. The results of Reddy and Gupta's material properties study are summarized below in Table 1 :

Table 1: Material properties test results (Reddy and Gupta 2005)

| Block characteristics |  | Block designation |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | SCB1 | SCB2 | SCB3 |
| Cement content (\%) (by weight) |  | 6 | 8 | 12 |
| Compressive strength (MPa) | Mean value | 3.13 | 5.63 | 7.19 |
|  | COV* (\%) | 16.2 | 10.2 | 9.6 |
|  | No. of specimen | 20 | 20 | 20 |
| Flexural strength (MPa) | Mean value | 0.48 | 1.05 | 1.22 |
|  | Range | 0.39-0.65 | 0.82-1.19 | 1.07-1.31 |
|  | No. of specimen | 6 | 6 | 6 |
| Tensile strength (Mpa) | Mean value | 0.18 | 0.29 | 0.46 |
|  | Range | 0.17-0.22 | 0.22-0.39 | 0.36-0.55 |
|  | No. of specimen | 6 | 6 | 6 |
| Initial Rate of Absorption (IRA) ( $\mathrm{kg} / \mathrm{m}^{3} /$ minute) | Mean value | 6.5 | 4.9 | 1.6 |
|  | Range | 4.2-8.5 | 3.2-7.0 | 1.3-1.8 |
|  | No. of specimen | 6 | 6 | 6 |
| Water Absorption (\%) | Mean value | 12.1 | 11.2 | 11.4 |
|  | Range | 11.5-12.9 | 10.1-12.0 | 10.3-12.3 |
|  | No. of specimen | 6 | 6 | 6 |

*Coefficient of variation

Reddy et. al (2007) performed experiments investigating the effect of soil grading, specifically clay content, on the characteristics of soil-cement blocks. They tested $305 \mathrm{~mm} \times 143 \mathrm{~mm} \times 96 \mathrm{~mm}$ blocks similar to the previous study on cement content. They used two cement contents, $4 \%$ and $8 \%$. Compressive strength and flexural tensile strength tended toward a maximum at clay contents between 14 and 16\% regardless of cement content as shown in Figure 5:



Figure 5: Maximum compressive and flexural strength at 14-16\% clay content (Reddy et. al 2007)

Linear expansion and water absorption also increased linearly with clay content, as shown in Figure 6:


Figure 6: Linear expansion and water absorption increase with clay percentage (Reddy et. al 2007)

## Construction Manuals and ICEB Standards

Adam and Agib (2001) authored a construction manual entitled "Compressed Stabilised Earth Block Manufacture in Sudan" as part of a larger project with the United Nations Educational, Scientific, and Cultural Organization (UNESCO). The UNESCO project, "Improvement of Educational Facilities in the Least Developed Countries of the Arab States", was to construct a school in the Khartoum region of Sudan to demonstrate the potential of earth as a building material. Adam and Agib discussed the advantages and limitations of compressed earth block construction, noting that compressive strengths of the blocks can vary immensely (between 1 to 4 MPa ) based on stabilizer content and as a consequence, buildings should be limited to one storey. However, they found that Sudanese black cotton soil with hydrated calcium lime as a stabilizer can produce blocks with compressive strengths of up to 8 MPa . The minimum British Standard requirement for precast concrete masonry units is 2.8 MPa , so compressed earth blocks compare favorably to conventional masonry units. For low income housing in rural areas, compressed earth blocks are ideal because they reduce material costs and they use local labor, which stimulates the economy. The blocks are fire resistant, have low environmental impact, and require very little equipment to manufacture. Their disadvantages are low resistance to impact and abrasion, reduced durability, and low tensile strength.

Adam and Agib assembled an exhaustive list of tests after Houben and Guillard (1994) to determine soil suitability for use in compressed earth blocks. This includes the smell test, nibble test, touch test, sedimentation test, wash test, linear shrinkage mold test, adhesion test, and dry strength test, to name a few. They also discuss soil stabilizing agents from cement to lime to bitumen, and they point out that the idea of soil stabilization has been around for many years, starting in the 1920's in road construction.

Finally, the construction manual lists techniques for preparing and mixing soil for compressed earth block production, and it discusses methods and machines used to mold and compress the blocks. The authors also discuss mortar mixtures pertaining to compressed earth blocks.

In the back of the manual, the authors include the African Regional Standards for Compressed Earth Blocks, which are based on the Guide to Compressed Earth Block Standards (1998), more fully reviewed below. Of particular interest in this manual is the inclusion of several standard test procedures to determine several properties of interest pertaining to ICEB production and construction, including a soil gradation section, dry and wet compressive tests on hardened blocks, abrasion tests, and capillary absorption tests.

The Guide to Compressed Earth Block Standards (1998) is a comprehensive document that was created with the support of many different organizations in an effort to standardize compressed earth block construction. The main goal of the manual was to standardize earth block construction in three main regions: Africa, Caribbean, and Pacific (ACP) countries. The UK-based Centre for the Development of Industry (CDI) in partnership with enterprises in the European Union funded the project and consulted with the International Centre for Earth Construction, part of the School of Architecture in Grenoble, and the African Regional Organization for Standardization (ARSO) to gather the technical information in the manual. This represents the first standardization manual in the field of compressed earth block technology.

Although humans have been building with earthen materials for thousands of years, the idea of non-fired earth that has been mechanically compressed is relatively new. In the late 1700s, a French architect by the name of François Cointeraux invented a press for manually ramming earth into blocks, thereby creating the field of rammed earth construction. This particular manual acknowledges a breakthrough in compressed
earth block technology appeared in 1952 in Bogota, Columbia. Raul Ramirez, an engineer at Bogota's CINVA center, invented the first manual CINVA-RAM. This helped spur startup enterprises using compressed earth block technology in countries all over the world, especially in Latin America and Africa. In 1983, the Thailand Institute of Scientific and Technological Research (TISTR) developed an interlocking block with top and bottom studs. Soon after, the Asian Institute of Technology in Pathum Thani, Thailand and the Soil Block Development Company in Chiang Rai, Thailand developed a larger interlocking block called the rhino block. Both are used today (Wheeler, 2005).

The manual has categorized compressed earth blocks in general shapes, principal dimensions, and nature of indentations into groups called primary formats. The most common primary format is a rectangular parallelepiped shape with length, width, and height. Secondary format shapes are fractions or multiples of the primary formats. The main multiples are $3 / 4,1 / 2$, and $1 / 4$.

Compressed earth blocks are further categorized by type number. Type 1 is a full rectangular parallelepiped format with no indentations. Type 2 is a full rectangular parallelepiped with one or more indentations on one or both of the bed or laying surfaces (bottom and top). Type 3 is a full rectangular parallelepiped with one or more indentations on the stretcher or header (front or side faces) or on multiple faces. Type 4 is a rectangular parallelepiped with holes between the top and bottom faces. Perforated blocks are Type 4 blocks with a few small holes, hollow blocks are Type 4 with a few large holes, and alveolar blocks have many small holes. Type 5 blocks are commonly called channel blocks; they have indentations and holes in their top or bottom faces. Type 6 blocks are rectangular parallelepipeds with holes in the top and bottom faces and with indentations in the front and side faces.


Figure 7: The 6 types of compressed earth blocks (1998 Standards) It is important to note that the modern version of the CINVA block, the rhino block, is a Type 6 compressed earth block with two hollow interlocking "studs" on the top and bottom faces to allow blocks to be dry stacked and interlocked together (Wheeler, 2005). The rhino block also has grout channel keys on the header faces to fill with grout once the blocks have been laid.

Wheeler (2005) authored a construction manual specifically aimed toward CINVA rhino blocks made with the Soeng Thai BP6 block press as shown in Figure 8. This particular press can create nine different types of blocks.


Figure 8: Soeng Thai BP6 block press with 9 different block types (Wheeler 2005)
This manual describes techniques to lay out concrete or cyclopean foundations with cast in place vertical reinforcement to thread blocks over once the concrete has hardened. It also describes leveling techniques with nails and the importance ensuring walls are plumb. As compressed earth blocks are inherently variable, it is important to check the geometry of the wall early and often. Wheeler presents drawing details for the anchorage of a second floor slab into the first floor walls, but at this time there is no testing research to verify the seismic capacity of two storey and higher ICEB structures.

Wheeler also recognizes the importance of waterproofing compressed earth block structures. He recommends installing a capillary rise barrier under the first course of blocks to prevent water from rising from the foundation into the walls. He also recommends using long roof overhangs and drip strips above windows and doors to prevent water entry. Walls should be plastered or glazed with breathable sealants to
prevent moisture entry. Glazed walls should have waterproofing plaster at least 2 courses high above the foundation.


Figure 9: Waterproofing details (Wheeler 2005)
Compressed earth block homes are capable of supporting electrical wiring and plumbing systems. The manual shows how to place PVC pipe wire sleeves in empty grout holes and cut openings in blocks for switch boxes and plugs. The same concept applies for plumbing lines. Cells with electrical wiring or plumbing should not be grouted to facilitation replacement of faulty or aging components.

## Chapter 3: ICEB Economic and Sustainability Factors

Earth as a building material lacks institutional acceptance in many parts of the world. However, the cost savings and low environmental impact of ICEBs warrant an indepth socioeconomic and sustainability analysis to support their increased use worldwide. This chapter is based on the results of an economic observation and survey that was performed in rural Thailand at the Center for Vocational Building Technology in September of 2012. In rural Thailand and many other developing areas, the scarcity of construction grade timber makes it impractical as a building material. Reinforced concrete, clay fired bricks, and concrete masonry are more common options, but the high cost of cement makes these unreachable for many families. Compressed earth block masonry has many advantages over conventional materials. The most commonly cited advantage is the cost savings. The compressed earth block uses between half and three-quarters the amount of cement of conventional concrete masonry, making it a more affordable (and environmentally sustainable) option.

The compressed earth block economic model hinges on the relative costs of material and labor. In developing countries, labor accounts for a fraction of the cost of materials. Human capital is abundant, especially during the off months of the harvesting season. Part-time farmers sometimes move to the city during the offseason dry months, leaving their families for long periods. Labor intensive processes such as compressed earth block construction enable villagers to build housing and other infrastructure during a time when they would normally leave the area. Table 2 shows labor requirements based on Adam and Agib's Al Haj Yousif school in the Khartoum area of Sudan. High labor requirements create jobs while saving energy and expensive materials.

Table 2: Labor requirement comparisons (Adam and Agib 2001)

| Products | Production method | Labour needed to make <br> volume equivalent to <br> 240 blocks/day |
| :--- | :---: | :---: |
| Compressed stabilised earth blocks | Brekpak press | 6.00 |
| Fired clay bricks | Traditional manual | 2.50 |
|  | Intermediate technology | 3.00 |
|  | Soft mud machine manual | 1.00 |
|  | Moderately mechanised | 0.33 |

The AI Haj Yousif prototype school building project in Sudan realized a cost per square meter savings of $40 \%$ compared to conventional masonry construction. The reduction in cost of the actual blocks was $70 \%$ compared to concrete masonry units.

In the rural area of Ban Then, Thailand, about 15 km north of Udon Thani, a 40 square meter, one story compressed earth block house complete with architectural finishings, indoor plumbing, and electricity can be built for about $\$ 3,000$ total. This is based on an exchange rate of approximately 30 Thai baht per dollar at the time of the writing of this thesis. The construction estimate and plans can be found in Appendix D. The total skilled and unskilled labor to build the house accounted for about $\$ 220$ of the total cost, while material costs accounted for about $\$ 2100$. The ICEB's and rebar cost $\$ 660$ out of the $\$ 2100$ for materials.

These cost analyses are based on the rhino block created with the Soeng Thai block press, a manual press that can be used to make up to 300 blocks per day with a skilled team of 4 laborers. To create a block producing enterprise, entrepreneurs need only to invest $\$ 2000$ in a block press and $\$ 1000$ in a soil pulverizer, plus the cost of cement and sand for the first few batches. A laborer in rural Thailand can expect to make \$7-8 per day producing blocks. Blocks can also be purchased from local producers such as the Center for Vocational Building Technology for around 12\$ per block.

In some areas of Thailand, local entrepreneurs have invested in hydraulic block presses that manufacture thousands of blocks per month (one claimed to produce around 95,000 per month with laborers working around the clock). These hydraulic blocks are about three quarters of the size of the conventional rhino block and are of a slightly different interlocking design. They are mostly used in garden walls and other architectural applications, although some structures have been built with them.

Raw materials such as timber are difficult to obtain in Thailand and throughout Southeast Asia because of the depletion of forests long ago. However, cement production is on the rise (World Cement Magazine). Thai cement is known for its high quality and low price, so this makes compressed earth blocks using local cement a sustainable option. However, the production of cement is itself not environmentally friendly, so the fact that compressed earth blocks use up to half the amount of cement of regular concrete or concrete masonry adds to their appeal. The Desert Architecture Unit has estimated that the embodied energy in one cubic meter of soil is 36 MJ (10 kwh) while the embodied energy in one cubic meter of concrete is 3000 MJ ( 833 kwh ) (Adam and Agib 2001). Also, the energy required for concrete production is primarily fossil fuel based, while the energy required for compressed earth block manufacture is made up largely of human energy when using manual methods of production, the only methods available in some remote areas of the world.

## Chapter 4: ICEB Design Recommendations

## Material Properties

Interlocking compressed earth blocks derive their strength from the amount of stabilizer present in the mix. Some common stabilizers include cement, lime, bitumen, pozzolanas, and gypsum. The different stabilizers have different advantages and disadvantages based on the sand and clay content of the soil mix (Adam and Agib 2001). The compressive strength of ICEB masonry, f' ${ }^{\prime}$ ICEB, depends heavily on the amount of cement in the mix. Bland (2011) performed compressive tests to find the modulus of elasticity of ICEB masonry. It was found that the modulus of elasticity $\mathrm{E}_{\text {ICEB }}$ is 157 times the compressive strength f'ICEB rather than 700 f'm for clay masonry or 900 f'm for concrete masonry as found in the 2008 MSJC Section 1.8.2.2.1. This increased flexibility is evident in the deflection behavior exhibited in ICEB shear walls, which can experience displacement ductilities (defined as ultimate displacement divided by yield displacement) up to 6.0 (Stirling 2011).

Bland performed strain controlled compression tests on ICEB prisms with $\mathrm{f}^{\prime}{ }_{\mathrm{m}}=$ 3.0 MPa, Bland fit a modified Hognestad model to the data using $\varepsilon_{0}=0.012$ (strain at peak stress) and $\varepsilon_{\mathrm{cu}}=0.025$ (maximum usable strain) as shown in Figure 10: Modified Hognestad Model (Bland 2011). However, during tests, the ICEB walls began to spall on the compression side long before $\varepsilon=0.012$ because the compression rebar buckled. See the Flexural Capacity of Walls section for more discussion on compressive strain limits in ICEB walls.


Figure 10: Modified Hognestad Model (Bland 2011)

## Shear Capacity of Walls

The 2008 MSJC stipulates that masonry nominal shear strength be calculated using the following equation (MSJC Equation 3-19):

$$
V_{n}=V_{n m}+V_{n s}
$$

The contribution of the masonry (in metric units) is computed using MSJC Equation 3$22:$

$$
V_{n m}=0.083\left[4.0-1.75\left(\frac{M_{u}}{V_{u} d_{v}}\right)\right] A_{n} \sqrt{f_{m}^{\prime}}+0.25 P
$$

where $M_{u}$ is the ultimate factored moment acting on the base of the wall in $N-m m, V_{u}$ is the ultimate factored shear force acting on the wall in $N, d_{v}$ is the shear depth of the wall in $\mathrm{mm}, \mathrm{A}_{\mathrm{n}}$ is the net cross sectional wall area in $\mathrm{mm}^{2}, \mathrm{f}_{\mathrm{m}}$ is the prism compressive strength of the masonry in MPa , and P is the applied axial load on the wall in N . The quantity $M_{u} / V_{u}$ is known as the shear span. If the wall is significantly longer than it is
tall, i.e. $\left(M_{u} / V_{u} d_{v}\right) \leq 0.25$, the total nominal shear strength $V_{n}$ (in metric units) is limited by MSJC Equation 3-20:

$$
V_{n} \leq 0.5 A_{n} \sqrt{f_{m}^{\prime}}
$$

If the wall is significantly taller than it is long, i.e. $\left(\left(M_{u} / V_{u} d_{v}\right) \geq 1.00\right.$, the total nominal shear strength $\mathrm{V}_{\mathrm{n}}$ (in metric units) is limited by Equation 3-21:

$$
V_{n} \leq 0.33 A_{n} \sqrt{f_{m}^{\prime}}
$$

These limitations serve to protect against brittle shear failure. The contribution of the steel shear reinforcement, $\mathrm{V}_{\text {ns }}$, is defined as (MSJC Equation 3-23):

$$
V_{n s}=0.5\left(\frac{A_{v}}{s}\right) f_{y} d_{v}
$$

where $A_{v}$ is the area of shear reinforcement, $s$ is the spacing in the vertical direction of the horizontal reinforcing steel, $\mathrm{f}_{\mathrm{y}}$ is the yield strength of the shear reinforcement, and $\mathrm{d}_{\mathrm{v}}$ is the depth from the outermost compressive fiber to the furthest tension flexural reinforcing bar. This equation has been empirically derived from

Recent research by Bland suggests using a corrected net cross sectional area $A_{n}$ modified by correction factors of 0.2 for partially grouted walls and 0.4 for fully grouted walls. This is in addition to the capacity reduction factor $\varphi$ (typically 0.8 ) applied to the sum of the masonry and shear reinforcement shear capacities. The modified equation becomes:

$$
\begin{gathered}
V_{\text {nICEB }}=k\left[0.083\left[4.0-1.75\left(\frac{M_{u}}{V_{u} d_{v}}\right)\right] A_{n} \sqrt{f_{m}^{\prime}}+0.25 P\right] \\
\begin{aligned}
\mathrm{k} & =0.20 \text { for partially grouted walls } \\
& =0.40 \text { for fully grouted walls }
\end{aligned}
\end{gathered}
$$

Partially grouted walls mean grouting only the grout keys between blocks, all horizontal reinforcement channels, and reinforcement cells with longitudinal or vertical reinforcement (see Figure 11). Fully grouted walls have grout in every cavity.


Figure 11: Grout Key, Grout Cell, and Reinforcement Channel Definition
These equations illustrate the beneficial effect axial loads can have on shear capacity. For conventional masonry, aggregate interlock is thought to improve with increased axial load (Brandow et al. 2011). It is not known whether the same phenomenon would occur for ICEB masonry. In ICEB structures, which are often single story in seismic zones, axial loads are quite low and the 0.25P term can be neglected.

The contribution of transverse steel reinforcement is calculated using the same equation as for conventional masonry. The modified total nominal shear capacity is now then:

$$
V_{n^{\prime}}=V_{n I C E B}+V_{n s}
$$

The $\mathrm{V}_{\mathrm{n}^{\prime}}$ term indicates the nominal shear capacity of an ICEB wall to prevent confusion with $\mathrm{V}_{\mathrm{n}}$, the nominal shear capacity of a conventional masonry wall.

Concrete ring beams (or bond beams) should be installed at the top of shear walls to help transfer diaphragm loads into the shear walls and to provide shear
continuity throughout the lateral force resisting system. They should be designed to transfer axial chord forces from the diaphragm into the shear walls. These ring beams should be deep enough to provide proper development of bars for roof anchorage. Design guidance can be found in Appendix D of ACI 318-08.

According to Bland, partially grouted walls have about $60 \%$ of the shear capacity of fully grouted walls. ICEB walls are thought to resist shear primarily through the continuous grouted core since they lack mortar. The interlocking studs add an additional shear resistance mechanism but this is considered to be smaller than the grouted core resistance. Shear strength of partially grouted walls traditionally considers only the contribution of the face shell thickness (Voon and Ingham 2006), but observed cracking patterns show this not to be the case with ICEBs. For design purposes, shear areas of partially grouted walls should be reduced by $80 \%$, which will decrease the total shear capacity by about $60 \%$.

Transverse shear reinforcement should be hooked $180^{\circ}$ around the last longitudinal reinforcing bar in a shear wall as shown in Figure . The contribution of transverse steel remains the same as for conventional masonry. It is especially important to provide sufficient reinforcement to capacity protect against brittle shear failure. This can be accomplished by using the maximum probable moment $\mathrm{M}_{\mathrm{pr}}$ to calculate design shear forces instead of designing based on the theoretical shear force resisted by the lateral force resisting system as calculated using simplified code procedures.


Figure 12: Horizontal Shear Reinforcement $180^{\circ}$ Hook
The seismic design provisions of ACl 318-08 recommend calculating seismic shear demands based on the moment capacity of the member rather than the expected shears calculated from the main lateral force resisting system, provided the seismically induced shears are larger than the expected lateral shears. This is to capacity protect shear walls from brittle shear failure and allow them to reach ductile flexural deformation before ultimate failure. Bland and Stirling found that ICEB wall specimens that had transverse shear reinforcement designed to force flexural dominated behavior experienced higher deformations and ductility than wall specimens designed with minimum shear reinforcement. ACI 318-08 and the 2008 MSJC (1.17.3.2.6.1.1) require that reinforcing steel have a minimum overstrength factor of 1.25 when designing using LRFD methods. The maximum probable moment on the system, $\mathrm{M}_{\mathrm{pr}}$, can be calculated as:

$$
M_{p r}=\frac{M_{u}(F . S .)(1.25)}{\Phi}
$$

where $M_{u}$ is the moment demand on the ICEB shear wall calculated from the lateral force resisting system demands, F.S. is the desired safety factor (typically 1.1 for this application) and $\varphi$ is the flexural reduction factor, typically 0.9 . Therefore, the seismic shear demand $\mathrm{V}_{\mathrm{e}}$ on an ICEB shear wall can be calculated as:

$$
V_{e}=\frac{M_{p r}}{h_{w}}
$$

## Flexural Capacity of Walls

The determination of the flexural capacity of a traditional masonry wall is governed by a few assumptions as listed in section 3.3.2 in the 2008 MSJC. Some of the assumptions that particularly apply to ICEBs are:

1. Strain continuity exists between reinforcement, grout, and masonry. Recent research suggests that certain low strength grout mixes may not bond well with the surrounding masonry.
2. The maximum usable strain, $\varepsilon_{m u}$, at the extreme masonry compression fiber shall be assumed to be 0.0025 for concrete masonry. It is difficult to quantify the amount of lateral restraint the unconfined ICEB blocks provide for the compression reinforcement, and the current masonry code assumes an empirically determined compressive limit strain of $\varepsilon=0.0025$. For this reason, the compressive strain limit of $\varepsilon=0.0025$ of masonry apply to ICEB construction as well even though ICEB prisms exhibit much higher ultimate strains.
3. Strains in reinforcement and masonry shall be assumed to be directly proportional to the distance from the neutral axis (plane sections remain plane).
4. Steel does not exhibit strain hardening properties, i.e. usable stress is limited to $\mathrm{f}_{\mathrm{y}}$. Testing by Bland and Stirling showed that ICEB shear walls exhibit high displacement ductility when strains exceed $\varepsilon_{y}$ but this factor should neglected for
elastic seismic design of ordinary reinforced ICEB walls because of the uncertainty associated with the material.
5. Tensile strength of masonry shall be neglected when calculating flexural capacity but considered when calculating deflections.
6. Masonry compressive stress of $0.80 f_{m}$ shall be assumed uniformly distributed over an equivalent stress block bounded by the cross section limits and extending to a depth $\mathrm{a}=0.80 \mathrm{c}$ where c is the depth of the neutral axis.

Bland and Stirling have suggested that ICEB walls exhibit flexural performance similar to that of conventional concrete masonry. As with conventional masonry, the compression side is not confined. This implies that ductility and system overstrength come entirely from the reinforcing steel. Based on static pushover analyses using the computer program XTRACT (Chadwell, 2004) on sample ICEB shear walls, ordinary reinforced ICEB walls should be considered to have a response modification factor R of 2.0. Response modification factors greater than 2.0 require special reinforcement detailing. See Appendix A for supporting calculations based on test results after Stirling (2011) and Bland (2011). The Federal Emergency Management Agency (FEMA) document P695 estimates the $R$ factor using trial $R$ factors of building systems in a computer model with incremental nonlinear dynamic analysis to determine the probability of local collapse or global instability. These simulations within FEMA P695 take six different deterioration or failure modes into account: flexural hinging of beamcolumn elements, column compressive failure due to amplified axial loads from earthquake induced moments, beam-column shear failure, joint shear failure, pull out and bond slip of rebar, and failure due to punching shear in the slab-column connection. This is far more comprehensive than simple flexural failure as was the goal in Stirling's tests. For this reason, the R-factors generated using Stirling's test results must be used with caution.

ICEB walls in seismic regions should be designed analogously to intermediate and special reinforced conventional masonry walls. ICEB specific requirements are as follows:

1. A maximum longitudinal steel reinforcing ratio $\rho_{\mathrm{l}}$ defined as:

$$
\rho_{l}=\frac{A_{S v}}{b d}
$$

where $b$ is the width of the wall in mm , and d is the depth to from the outermost compression fiber to the centroid of the farthest flexural (longitudinal) steel. $\mathrm{A}_{\mathrm{sv}}$ is the total area of flexural steel in the wall. To achieve the required ductility for most ICEB shear walls with minimum grade steel ( 10 mm Gr 30 ( 206 MPa ), $\rho$ is limited by:

$$
0.0007 \leq \rho_{l} \leq 0.007
$$

This limit is to achieve axial equilibrium while preserving ductility based on the requirements of Section 3.3.3.5.1 of the 2008 MSJC. The maximum limit was determined based on an iterative code done in MATLAB based on wall aspect ratios (height to width) greater than or equal to 1.0 with equations found in the commentary on Section 3.3.3.5.1. See Appendix C for detailed calculations. The minimum limit is based on the total area of vertical reinforcement being at least $0.07 \%$ of the gross cross sectional area of the wall per Section 1.17.3.2.6 (c) (1). Spacing of longitudinal steel must not exceed 1200 mm for intermediate reinforced shear walls and the least of $33 \%$ of the length or height of the wall for special reinforced shear walls. Section 1.17.3.2.3.1 requires vertical (longitudinal) reinforcement of at least $113 \mathrm{~mm}^{2}$ ( 12 mm bar) in diameter, however, for ICEB shear walls, $79 \mathrm{~mm}^{2}$ ( 10 mm bar) is sufficient provided it is provided in all block cells at corners and ends of walls. Although this
requirement is for special reinforced shear walls, by taking the more stringent requirement and applying it to intermediate reinforced shear walls, it is ensured that minimum longitudinal steel requirements are met while making it easier to obtain the necessary materials.

Stirling (2011) suggests that higher aspect ratio shear walls (height to width) have increased ductilities, but more testing should be completed to verify this result.
2. A minimum horizontal steel reinforcing ratio of $\rho_{\mathrm{h}}$ defined as:

$$
\rho_{h}=\frac{A_{S h}}{b h}
$$

where $A_{\text {sh }}$ is the area of horizontal shear steel in the wall, $b$ is the thickness of the wall, and h is the height of the wall. Per MSJC 1.17.3.2.6 (c) the horizontal steel ratio must be greater than $0.07 \%$ of the cross sectional area of the wall:

$$
0.0007 \leq \rho_{h}
$$

There is no maximum horizontal steel reinforcing ratio per Section 3.3.6.5. This applies to ICEB walls as well in order to capacity protect against brittle shear failure. The maximum spacing is the smallest of the longitudinal steel spacing and 610 mm for both intermediate and special reinforced ICEB shear walls per Section 1.17.3.2.6. The walls in Bland and Stirling's tests met the minimum horizontal reinforcement requirements.

## Wall Deflections

ICEB shear walls should be elastically designed for simplicity and for the reasons described in the Flexural Capacity of Walls section. Deflections should be determined
based on elastic analysis but with cracked section properties. Methods for this analysis can be found in most reinforced concrete textbooks.

The deflection amplification factor $\mathrm{C}_{\mathrm{d}}$ has been shown to be significantly higher than that of conventional masonry. ICEB masonry is more flexible than conventional masonry, with displacement ductilities of up to 6.0 for 2:1 aspect ratio walls based on results from Stirling (2011). The deflection amplification factor for ordinary masonry shear walls is 1.75, but testing results from Stirling have shown it is different for ordinary reinforced ICEB shear walls. Varela, Tanner, and Klingner (2004) define the deflection amplification factor $\mathrm{C}_{\mathrm{d}}$ as:

$$
C_{d}=\frac{\Delta_{u}}{\Delta_{y}} \Omega_{\text {system }}
$$

See Appendix A for calculations on determining the deflection amplification factor $\mathrm{C}_{\mathrm{d}}$. Based on test results, for 1:1 aspect ratio walls, $\mathrm{C}_{\mathrm{d}}$ should be taken as approximately 3.0. It is conservative to increase $\mathrm{C}_{\mathrm{d}}$ for higher aspect ratio walls. The deflection amplification factor is higher than conventional masonry because of the sliding and rocking action that occurs between the dry stacked blocks since ICEBs do not utilize mortar to prevent sliding.

The deflection amplification factor for ICEBs also applies in ASCE 7 equation 12.8-15 for calculating story drifts:

$$
\delta_{x}=\frac{C_{d} \delta_{x e}}{I}
$$

where $\delta_{x}$ is the story drift, $\mathrm{C}_{\mathrm{d}}$ is the deflection amplification factor, $\delta_{\mathrm{xe}}$ is the story deflection based on cracked section elastic analysis, and I is the importance factor found in ASCE 7-05 Table 11.5-1.

ICEB structures should not be higher than one story in Seismic Design Categories C through F as defined in ASCE 7-05 Table 11.6-1 and 11.6-2. According to ASCE 7-05 Table 12.2-1, conventional ordinary reinforced masonry shear walls are not permitted at all in Seismic Design Categories D through F. Because of these limits, the story drift $\Delta$, calculated as the deflection $\delta_{x}$ at the top and bottom of the story in question, should be equal to $\delta_{x}$ calculated at the top of the wall. According to ASCE 7-05 Table 12.12-1, masonry cantilever shear wall structures should not be permitted to drift more than 0.7 percent of the story height below level x , or $0.007 \mathrm{~h}_{\mathrm{sx}}$. ICEB structures should be limited to these same criteria with $\mathrm{h}_{\mathrm{sx}}$ equal to the height of the ICEB shear wall. In order to meet this requirement, the deflection amplification factor should be taken in the range of 3 to 6 to conservatively estimate drift for comparison to limits in ASCE 7-05 Table 12.12-1.

Long walls, as defined by having height to length aspect ratios less than 1.0 , exhibit shear deflection behavior under lateral loads defined by Timoshenko beam theory after Ghugal et. al (2011):

$$
\delta=\frac{P L^{3}}{3 E I}\left[1+0.6(1+\mu) \frac{h^{2}}{L^{2}}\right]
$$

where $\delta$ is the wall deflection, $P$ is the lateral load, $L$ is the height of the wall, $E$ is the modulus of elasticity of ICEBs, I is the moment of intertia of the wall about the strong axis, $\mu$ is a shape factor ( 0.2 for rectangular sections), and h is the shear depth of the wall. Bland found that for shear dominated wall behavior, shear deflection characterized by sliding of blocks and widening of shear cracks increased at higher applied loads due to shear stiffness degradation while flexural deflection decreased. If walls are sufficiently reinforced to prevent sudden shear failure, flexural deflection will most likely increase again due to strain hardening of flexural steel.

## Plastic Behavior

Walls with openings, when analyzed as two separate piers for lateral resistance, do not fully develop plastic hinging before failure. The following equation defines the development of plastic moments at opening corners:

$$
\sum M_{p i} \theta=0.75 H V_{e q} \theta
$$

where $\mathrm{M}_{\mathrm{pi}}$ is the plastic moment, H is the height of the opening, and $\mathrm{V}_{\mathrm{eq}}$ is the shear force. Stirling (2011) suggests that plastic hinges develop to $75 \%$ of their nominal strength because of inadequate development length of rebar, local failures, and increased effective pier heights. This result should be verified with further testing as it is possible the underdevelopment of the plastic hinges occurred due to reinforcement detailing problems.


Figure 13: Plastic hinge formation in pier opening systems (Stirling 2011)

## Out of Plane Flexural Capacity and Anchorage

A recent thesis by Herskedal (2012) investigated the strength of ICEB masonry when laterally loaded in the out of plane direction. Herskedal found that the flexural strength in the out of plane direction could be calculated using the current concrete masonry code, but classical mechanics based estimates of stiffness and displacements were incorrect. He performed moment curvature analyses on the five test walls and used a direct integration method with linear interpolation between block layers to predict displacements based on the curvatures. Herskedal recognized that ICEB structures should be limited to $0.7 \%$ drift as previously mentioned in the out of plane direction to limit the P -delta effect caused by increasing deflections. He determined that this deflection limit state would be reached long before flexural failure of the wall. He included a pilaster in his test walls to investigate the effect of pilasters in reducing deflections and increasing stiffness and flexural strength. Pilasters (designed in accordance with MSJC masonry column requirements) in the wall increased the nominal flexural strength by over three times and the stiffness by over sixteen times. Herskedal determined the required spacing of pilasters assuming a deflection limit state of $0.7 \%$ of the height and using the out of plane seismic force demand found in ASCE 7-05 Section 12.11.1:

$$
F_{p}=0.4 S_{D S} I W_{p}
$$

where $F_{p}$ is the seismic demand, $S_{D S}$ is the design spectral acceleration, $I$ is the importance factor (taken as 1.0 ), and $W_{p}$ is the tributary weight of the wall. The minimum out of plane seismic demand is ten percent of the weight of the wall. Herskedal produced a chart with pilaster spacings for differing wall heights and differing $S_{D S}$ values. He found that, for regions of high seismicity (defined as $S_{D S}$ greater than or
equal to 0.75 ), the maximum spacing of pilasters for most wall heights should be 3.0 meters.


Figure 14: Maximum pilaster spacing vs. $\mathrm{S}_{\mathrm{DS}}$ (Herskedal 2012)
ICEB walls should be properly anchored into the diaphragm to transmit forces throughout the system. ASCE 7-05 Section 12.11.2 stipulates that the anchorage should resist the greater of:

1. Twice the seismic out of plane demand from 12.11 .1 (for Seismic Design Categories C through F)
2. A force of $5.84 \mathrm{~S}_{\mathrm{DS}} \mathrm{IkN}$ per meter of wall
3. 4.09 kN per meter of wall

Structural walls must also be designed to resist out of plane bending when the anchors exceed 1200 mm in spacing.

## Roof to ICEB Wall Connections

Because the structures within the scope of this thesis are all one storey, the roof diaphragm collects inertial seismic loads and distributes them to the shear walls. The
roof to wall connection is critical and must be designed with sufficient capacity to allow this transfer. Currently in Thailand, smooth rebar or steel hooks are embedded into the top of the wall, and the diaphragm structure is connected with welds as shown in Figure 15 and Figure 16. Sometimes bars are not welded to rafters but simply hooked to hold them in place as shown in Figure 19.


Figure 15: Steel bearing plate with protruding bar welded to roof truss


Figure 19

Figure 16: Protruding bar welded to roof rafter with no bearing plate

Oftentimes, the roof diaphragm is not connected at all. A rafter may be keyed into the wall as shown in Figure 17 or it may be embedded in a layer of concrete at the top of the wall as shown in Figure 18. As a side note, blocks turned on their side faces can serve as ventilation and to let in natural light.


Figure 17: Rafter keyed into wall with no mechanical connection


Figure 18: Rafter embedded in concrete layer with sideways blocks used for ventilation (Photo credit Co-op Ville Rehabilitation Project)


Figure 19: Protruding bar hooked over rafter (Photo credit Co-op Ville Rehabilitation Project)

The roof to wall connection must be sufficiently designed to transfer lateral load from the roof diaphragm to the ICEB wall. This can be accomplished via a timber sill plate and bracket connection to the roof rafter or truss as shown in Figure 20:


Figure 20: Timber rafter connected to wall with sill plate and through bolts

It can also be accomplished with a welded steel plate with connecting rods or brackets as shown in Figure 21:


Figure 21: Steel plate on wall top connected with threaded rod or welded ICEB Detailing Recommendations

ICEB structure foundations should have vertical reinforcement starter bars cast in place according to the layout of the walls. At a minimum, wall ends, corners, and all openings should have vertical reinforcement. It may be necessary to include more vertical reinforcement along the length of walls for increased flexural capacity. The vertical reinforcement should be as high as is practical to thread blocks over.

Horizontal shear reinforcement should be hooked around vertical reinforcement with $180^{\circ}$ hooks. The reinforcement should be placed in channel blocks with rebar chairs to hold it above the surface of the block to ensure bonding with grout.

Grout can be similar to grout used with conventional masonry. Table 3 provides mixing proportions. The grout should be workable to ensure proper consolidation in walls.

## Table 3: Recommended grout mix proportions and corresponding strengths (MSJC Tables SC-7 and SC-8)

| Grout proportions by volume |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: |
| Grout type |  |  | Aggregate damp, loose ${ }^{1}$ |  |
|  | Cement | Lime | Fine | Coarse |
|  | 1 | 0 to $1 / 10$ | $21 / 4$ to 3 | - |
|  | 1 | 0 to $1 / 10$ | $21 / 4$ to 3 | 1 to 2 |

${ }^{1}$ Times the sum of the volumes of the cementitious materials

Grout strengths

|  |  | Compressive strength, psi (MPa) |  |  | GJC Reference |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Grout type | Location | Low | Mean | High |  |
| Coarse | Lab | $1,965(13.55)$ | $3106(21.41)$ | $4000(27.58)$ | 2.16 |
| Coarse | Lab | $3611(24.90)$ | $4145(28.58)$ | $4510(31.10)$ | 2.17 |
| Coarse | Lab | $5060(34.89)$ | $5455(37.61)$ | $5940(40.96)$ | 2.18 |

Grout should be poured in lifts no higher than 300 mm per MSJC Table 1.19.1 (based on 50 mm grout cells). This ensures proper consolidation of grout within the compressed earth block cells. Grout lifts higher than 300 mm may be approved by the engineer upon inspection of a test wall for proper grout consolidation and filling of void spaces. Grout should be consolidated as best as possible with mechanical or manual vibration. A grout pour should end at least 40 mm below the bed joint of a block (MSJC 3.5F). This creates a grout key which will prevent cold joints from forming at the joints between blocks. This is especially important if the grout has been left to set for more than an hour between pours.

The first layer of blocks should be laid with a layer of mortar, a layer of plastic film, and then another layer of mortar. The mortar should be of bitumen, rich cement, or have a silicone additive to help repel water intrusion. Alternatively, a comprehensive waterproofing system designed to prevent moisture intrusion manufactured by companies such as Sika, Dow Chemical, or BASF may be used. Exterior walls must be either plastered or glazed with a water-based acrylic coating for deterioration resistance.

## Chapter 5: Seismic Design Criteria for the Philippines

This thesis relies upon the National Structural Code of the Philippines Volume 1, $6^{\text {th }}$ ed.-Buildings, Towers, and Other Vertical Structures (NSCP 2010) for gravity loads and the United States Geological Survey (USGS) 'Worldwide Seismic "DesignMaps" Web Application' to estimate the equivalent lateral earthquake force sustained by ICEB structures of interest. The main seismic hazards in the Philippine archipelago are the 1200 km Philippine Fault that stretches from the northwest to the southeast of the country and the plate boundary subduction zones that make up the Philippine Mobile Belt, the Manila Trench to the west and the Philippine Trench to the east. In the map in Figure 22, the fault is represented by red lines and the two trenches are represented by the purple lines with triangles.

Although the Philippines Fault is broken into many different portions, the Philippine Institute of Volcanology and Seismology (PHIVOLCS) has designated almost the entire country as part of the Philippines Fault Zone (PFZ) meaning that most earthquakes in the country can be attributed to this predominant fault. This fault is responsible for the February $2012 \mathrm{M}_{\mathrm{w}}$ 6.9 Tayasan earthquake, the August $2012 \mathrm{M}_{\mathrm{w}} 7.6$ Eastern Samar earthquake, and most recently, the February $2013 \mathrm{M}_{\mathrm{w}}$ 6.2 Davao del Sur earthquake (Phivolcs Seismological Observation and Earthquake Prediction Division). In fact, during the past 100 years, at least 10 significant earthquakes have been associated with the fault (Barrier et. al 1991). The quadruplex design in this thesis is part of the reconstruction efforts from earthquakes such as these.


Figure 22: Philippines fault (Active Faults and Trenches in the Philippines)

The National Structural Code of the Philippines relies on seismic hazard analysis performed by Molas, Yamazaki, and Tomatsu (1992) from the Architectural Institute of Japan (AIJ) and the Japan Society of Civil Engineers (JSCE). Molas et. al noticed that although seismic design procedures had been borrowed from the Uniform Building Code from the United States, the data available from the Philippine Institute of Volcanology and Seismology (Phivolcs) were not sufficient to accurately assess the level of safety for design purposes. Molas et. al used USGS data and performed probabilistic seismic hazard analysis to propose four seismic zones throughout the Philippines. Each zone is based on a time period $t$ of 100 years, but they all have differing return periods T and probabilities of exceedance Q. Molas et al. used this equation to relate return period to time period and probability of exceedance:

$$
T=-t / \ln (Q)
$$

Zone 1 is considered to be seismically inactive. Zone 2 has a mean return period in which the seismic design coefficients are exceeded of 2446.1 years, which corresponds to a probability of exceedance of 4\%. Zone 3 has a mean return period of 97.9 years with $64 \%$ probability of exceedance, and Zone 4 has a mean return period of 7.9 years with a probability of exceedance of $98 \%$.


Figure 23: Philippines Zone Map (Molas et. al 1992)

The Zone factors $Z$ for each zone are as follows:

Table 4: Zone factors for the Philippines (Molas et. al. 1992)

| ZONE | Zone Factor, $Z$ |
| :---: | :---: |
| 1 | 0.5 |
| 2 | 0.7 |
| 3 | 1.0 |
| 4 | 1.5 |

According to Molas et al., base shear was calculated after the United States' Uniform Building Code (UBC) using the equation

$$
V=Z \cdot C \cdot S \cdot I \cdot K \cdot W
$$

where Z is the zone factor, C is the response factor (peak ground acceleration for the zone's return period), S is the soil profile factor, K is the structural factor (similar to the ASCE-7-05 response modification coefficient), and $W$ is the seismic weight of the structure. The zone factor amplifies or diminishes the hazard according to its return period to arrive at a design basis earthquake base shear. This is inconsistent with the method found in ASCE 7-05. ASCE 7-05 uses USGS probabilistic seismic hazard maps that show the highest considered seismic hazard throughout a specific area. Next, factors to diminish or amplify that hazard based on soil conditions, occupancy categories, and response modifications due to structure ductility are applied. The NSCP (2010) now uses a similar simplified method to calculate base shear for ordinary structures:

$$
V=\frac{3 C_{a}}{R} W
$$

where V is the base shear, $\mathrm{C}_{\mathrm{a}}$ is an acceleration controlled seismic coefficient based on seismic zone and soil profile, and R is the "numerical coefficient representative of the inherent overstrength and global ductility capacity of lateral force resisting systems". This method may only be used for short period structures with standard occupancy.

The structural factor K used in the UBC method proposed in 1992 by Molas et al. and the numerical coefficient $R$ used in the 2010 NSCP are different from the response modification coefficient $R$ used in ASCE 7-05. This is because there are different methods of calculating this factor. Whittaker et al. (1990) suggests an R coefficient as the product of three components: a strength factor, a ductility factor, and a redundancy factor.

$$
R=R_{S} R_{\mu} R_{R}
$$

where $R_{S}$ is the strength factor, $R_{\mu}$ is the ductility factor, and $R_{R}$ is the redundancy factor. The strength factor $\mathrm{R}_{\mathrm{S}}$ is based on the available nominal shear capacity $\mathrm{V}_{\mathrm{b}}$ compared to the ultimate shear capacity $\mathrm{V}_{\mathrm{u}}$. We will assume $\mathrm{R}_{\mathrm{S}}$ is equal to 1.0 based on shear wall tests from Bland (2011) which show shear dominated ICEB shear walls to show very little overstrength due to buckling of compression reinforcement. Also, we will assume most simple ICEB structures will be designed with few, if any, redundant members. We will therefore also assume $R_{R}$ to be 1.0. We will solely rely on the ductility component $R_{\mu}$ to calculate R because it is related to the displacement ductility, which is readily available for ICEB shear walls. The ductility component can be calculated as follows:

$$
R_{\mu}=[c(\mu-1)+1]^{1 / c}
$$

where $\mu$ is the displacement ductility and c is taken as 2.0.
The seismic forces in this thesis are calculated using procedures in ASCE 7-05 to convert the maximum considered earthquake hazard, an event with a $2 \%$ probability of exceedance in 50 years with a return period of 2500 years to the $10 \%$ in 50 years design basis earthquake with a return period of 475 years, accounting for soil profile factors and occupancy categories. The USGS map has been obtained from a probabilistic seismic hazard analysis for the Philippines. The seismic design acceleration is then used to determine an equivalent lateral force on the diaphragm of the structure, and the force is then distributed throughout the structure. This thesis does not utilize the NSCP (2010) procedure for the calculation of base shear to remain consistent with the estimation of seismic design parameters using methods proposed in U.S. based codes.

## Chapter 6: Design of Multifamily Quadruplex Home in the Philippines

## Applicable Codes and References

This design will utilize the 2010 edition of the National Structural Code of the Philippines (NSCP) to determine standard gravity loadings and then will use the $2 \%$ in 50 year Maximum Considered Earthquake (MCE) spectral accelerations from the USGS 'Worldwide Seismic "DesignMaps" Web Application' to estimate the equivalent lateral earthquake force. It will then follow provisions in ACI 318-08, 2008 MSJC, and ASCE 705 for capacity design.

## Project Information

One-Storey Interlocking Compressed Earth Block Quadruplex Home
Occupancy: Residential ( $\mathrm{I}=1.0$ )
Load and Resistance Factor (LRFD) Design
ICEB 28-day compressive strength:
6 MPa (block)
9 MPa (grout)
3 MPa (grout and block prism)
1 MPa (at 0.0025 maximum usable strain)
Blocks have $6 \%$ cement content by mass and soil has $15 \%$ clay content by mass
Steel yield strength $\mathrm{f}_{\mathrm{y}}$ : 206 MPa (Grade 30) 10 mm bars
Building Length: 11850 mm
Building Width: 8250 mm
Average Building Height: 2600 mm
Roof Length: 13050 mm
Roof Width: 10050 mm
Roof Area: $131.15 \mathrm{~m}^{2}$

Latitude, Longitude: $11.87^{\circ}, 122.86^{\circ}$
Two Percent in 50 Years Probability of Exceedance Short Period Spectral Acceleration
$S_{s}: 1.44$
Two Percent in 50 Years Probability of Exceedance Long Period Spectral Acceleration
$S_{1}: 0.58$
See Appendix B for renderings, design drawings and full detailed calculations.

## Project Location Map



Figure 24: Philippines Location Map (Google Earth)

## Floor Plan



Figure 25: Floor Plan of Quadruplex

## Gravity Loading

Standard dead and live loads for the Philippines were obtained from the National Structural Code of the Philippines (NSCP). The weight of the structure was calculated to be 428.79 kN based on the weight of ICEB walls, roofing, and $10 \%$ of the roof live load.

Table 5: Standard Loads

| Dead Loads |  |  | Notes |
| :---: | :---: | :---: | :---: |
| Concrete | 23.6 | $\mathrm{kN} / \mathrm{m}^{3}$ | NSCP Table 204-1 |
| Structural Steel | 77 | $\mathrm{kN} / \mathrm{m}^{3}$ | NSCP Table 204-1 |
| ICEB Wall | 2.62 | kPa | Full Grouting, plaster |
| Steel Roof Trusses/Purlins | 0.06 | kPa | NSCP Table 204-2 |
| Sheet Metal (Ga. 26) | 0.1 | kPa | NSCP Table 204-2 |
| Ceiling Joists/Plywood | 0.15 | kPa | NSCP Table 204-1 |
| Live Loads |  |  |  |
| Residential Floor Live Load | 1.9 | kPa | NSCP Table 205-1 |
| Residential Roof Live Load | 0.6 | kPa | NSCP Table 205-3 |

Table 6: Weight of ICEB Walls

| Wall | Length (m) | Average Height (m) | Area (m${ }^{2}$ ) | Weight (kN) |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 0.9 | 2.2 | 1.98 | 5.19 |
| 2 | 1.2 | 2.2 | 2.64 | 6.92 |
| 3 | 0.75 | 2.2 | 1.65 | 4.32 |
| 4 | 0.75 | 2.2 | 1.65 | 4.32 |
| 5 | 1.2 | 2.2 | 2.64 | 6.92 |
| 6 | 0.9 | 2.2 | 1.98 | 5.19 |
| 7 | 1.8 | 2.5 | 4.50 | 11.79 |
| 8 | 13.65 | 2.8 | 38.22 | 100.14 |
| 9 | 1.8 | 2.5 | 4.50 | 11.79 |
| 10 | 0.9 | 2.2 | 1.98 | 5.19 |
| 11 | 1.2 | 2.2 | 2.64 | 6.92 |
| 12 | 0.75 | 2.2 | 1.65 | 4.32 |
| 13 | 0.75 | 2.2 | 1.65 | 4.32 |
| 14 | 1.2 | 2.2 | 2.64 | 6.92 |
| 15 | 0.9 | 2.2 | 1.98 | 5.19 |
| 16 | 1.8 | 2.5 | 4.50 | 11.79 |
| 17 | 1.8 | 2.5 | 4.50 | 11.79 |
| 18 | 1.2 | 2.5 | 3.00 | 7.86 |
| 19 | 1.2 | 2.5 | 3.00 | 7.86 |
| A | 0.9 | 2.65 | 2.39 | 6.25 |
| B | 0.9 | 2.65 | 2.39 | 6.25 |
| C | 3.9 | 2.65 | 10.34 | 27.08 |
| D | 10.05 | 2.5 | 25.13 | 65.83 |
| E | 3.9 | 2.65 | 10.34 | 27.08 |
| F | 0.9 | 2.65 | 2.39 | 6.25 |
| G | 0.9 | 2.65 | 2.39 | 6.25 |
|  |  |  | Total | 373.70 |

Table 7: Weight of Roof Components

| Component | Load <br> $(\mathbf{k P a})$ | Roof Area <br> $\left.\mathbf{( m}^{2}\right)$ | Weight <br> $\mathbf{( k N )}$ | Notes |
| :---: | :---: | :---: | :---: | :---: |
| Trusses/Purlins | 0.06 | 131.15 | 7.87 | NSCP Table 204-2 |
| 26 Ga GI Sheet | 0.1 | 131.15 | 13.12 | NSCP Table 204-2 |
| Ceiling Joists, <br> Plywood, Finishes | 0.2 | 131.15 | 26.23 | NSCP Table 208-12 |
|  |  | Total | 47.21 | Note 7 |

## Seismic Loading

Table 8: Seismic Design Criteria ASCE 7-05 11.4
Seismic Design Criteria ASCE 7-05 11.4

| Category | Value | Notes |
| :---: | :---: | :---: |
| Site Class | D | Table 20.3-1 |
| $\mathrm{S}_{\mathrm{s}}$ | 1.44 | USGS |
| $\mathrm{S}_{1}$ | 0.58 | USGS |
| $\mathrm{F}_{\mathrm{a}}$ | 1 | Table 11.4-1 |
| $\mathrm{F}_{\mathrm{v}}$ | 1.5 | Table 11.4-2 |
| $\mathrm{S}_{\mathrm{MS}}$ | 1.44 | $11.4-1$ |
| $\mathrm{~S}_{\mathrm{M} 1}$ | 0.87 | $11.4-2$ |
| $\mathrm{~S}_{\mathrm{DS}}$ | 0.96 | $11.4-3$ |
| $\mathrm{~S}_{\mathrm{D} 1}$ | 0.58 | $11.4-4$ |
| Seismic Design Category | D | Table 11.6-2 |
| l | 1 | Table 11.5-1 |
| R | 2 |  |
| $\mathrm{C}_{\mathrm{D}}$ | 3 |  |
| $\mathrm{~T}_{\mathrm{a}}$ | 0.11 | 12.8 .2 .1 |
| $\mathrm{C}_{\mathrm{s}}$ | 0.48 | $12.8-2$ |
| Wtotal | 428.79 | kN |
| Vbase | 205.82 | kN |
| Mov | 535129.92 | $\mathrm{kN}-\mathrm{mm}$ |

A rigid diaphragm and flexible diaphragm analysis is presented to envelope the possible response of the structure during an earthquake event. For the rigid diaphragm analysis, walls were individual named 1-19 in the north-south direction and $A-G$ in the east-west direction. The structure has stiff walls in the north-south (Wall 8) and east west directions (Wall D) which resist $89 \%$ of the direct shear load and $85 \%$ of the direct shear load respectively under a rigid diaphragm analysis. The structure is symmetric with the center of rigidity located exactly at the center of mass so it does not include any induced shears from torsional moments. For the flexible diaphragm analysis, wall lines
were named A-C in the north-south direction and 1-5 in the east-west direction. The results of the flexible diaphragm analysis showed the stiff wall in the north-south direction (made up of wall line B) resists $50 \%$ of the load, with the other $50 \%$ distributed evenly to the outside walls (wall lines A and C). In the east-west direction, the load is redistributed to the bathroom walls and the recessed porch walls. The long, stiff wall (Wall line 3) resists 20\% of the load, meaning the bathroom and recessed porch walls are required to share the remaining $80 \%$.

The flexible diaphragm analysis requires the exterior walls to resist significantly more load. The actual behavior of the structure is somewhere between these two responses. In the north-south direction, the response can reliably be analyzed as rigid because of the aspect ratio of the diaphragm in that direction; it is much deeper than it is wide, making it very stiff. In the east-west direction, the response is most likely closer to the flexible diaphragm case. The diaphragm is more flexible in this direction. The diaphragm must be adequately connected to the walls in order to transfer the shear forces to the walls. Although outside the scope of this design, a possible roof rafter connection and its calculated demand to capacity ratio is presented in Appendix B.

The deflections in the walls were calculated using uncracked section properties for simplicity. The material models input into XTRACT (Chadwell, 2004) to determine wall capacities to compare to demands were limited in the linear elastic range because the pool of research on the non-linear overstrength properties of ICEB walls is not yet robust enough. The compressive strength of the masonry was 1 MPa at 0.0025 strain and the steel model was Grade 30 steel with yield strain at 0.001 and plastic thereafter until 0.002 maximum usable strain to be conservative. In reality, the steel is probably able to deform until at least the maximum usable strain of the ICEB $(0.0025)$ or beyond.

The shear capacity design was performed using the equation recommended by Bland (2011) with partially grouted walls. The shear reduction factor was assumed to be 0.75 and the horizontal steel was assumed to be 10 mm Gr .30 ( $\mathrm{f}_{\mathrm{y}}=206 \mathrm{MPa}$ ).

Detailed spreadsheet verification calculations of the lateral force resisting ICEB shear walls can be found in Appendix B. Design drawings can be found in Appendix C.

## Chapter 7: Conclusions and Recommendations for Further Research

The research conducted thus far has yielded information on the composition of ICEBs, the performance of flexural and shear dominated walls, and the out of plane performance of walls. Further research is needed to investigate the effects of varying steel ratios on shear wall performance, with special emphasis on attempting to gain strain hardening overstrength from following MSJC requirements for ordinary, intermediate, and special reinforced shear walls. Furthermore, ICEB columns and pilasters should be examined to compare their performance to conventional masonry column behavior, with the possibility of nonlinear behavior considered due to grout confinement and steel overstrength. It would then be possible to generate axial load versus moment capacity diagrams for columns, which could expand possible designs to include two storey buildings.

The important design recommendations from this seismic design manual are summarized below:

1. ICEBs have a much lower Young's Modulus E than conventional concrete masonry, $157 f^{\prime}{ }_{\text {ICEB }}$ as opposed to $900 f^{\prime}{ }_{m}$. This means ICEBs are more flexible and will deform more under applied loads.
2. ICEBs exhibit much higher strains at peak stress $\varepsilon_{0}$ and maximum usable strains $\varepsilon_{\text {su }}$ than conventional concrete masonry. However, until research validates the use of higher strain limits, the same compressive strain limits for CMUs should be applied to ICEBs: $\varepsilon_{0}=0.0025$ and $\varepsilon_{\text {su }}=0.004$.
3. The shear capacity of ICEBs should be multiplied by factors of 0.2 for partially grouted walls (defined as only grouting keyways between blocks and cavities with reinforcement) and 0.4 for fully grouted walls (defined as grouting all cavities). This is to account for reduced shear area in the bed joint due to the
interlocking dry stack mechanism and the doweling action provided by grout cells.
4. The contribution of horizontal steel remains the same for ICEBs as conventional masonry.
5. The flexural capacity of walls can be reliably estimated using current masonry code techniques. The constraints imposed by the masonry code in Section 3.3.3.5 should be followed for ICEB design. When using masonry compressive strain limits ( 0.0025 compressive strain), ICEBs will remain linear elastic.
6. Wall deflections can be estimated based on elastic deflections. Care should be taken to account for block sliding in deflection calculations. One method is to amplify the deflections based on the deflection amplification factor $\mathrm{C}_{\mathrm{d}}$, approximately 3.0 for $1: 1$ aspect ratio walls.
7. Pilasters detailed per masonry requirements in Section 1.14 should be spaced based on the chart proposed by Herskedal (2012) to control out of plane deflections.

The design of the quadruplex is rooted in several assumptions, and has limitations. The walls are designed to remain primarily in the linear elastic range, with some plastic deformation allowed based on the $30 \mathrm{ksi}(206 \mathrm{MPa})$ steel model input into XTRACT. The steel yield strain was set at 0.001 and the maximum usable strain was set at 0.002 , only utilizing perfectly plastic effects. The ICEB material was limited to 0.0025 compressive strain with a prism compressive strength of 1 MPa . This corresponds to roughly $15 \%$ clay content and $6 \%$ cement, the parameters of the blocks used in the earlier referenced large scale experimental studies. The roof diaphragm is assumed to be adequately connected to all walls, including interior walls, in order to transfer load to shear walls. The walls were checked for out of plane capacity in

XTRACT and then pilasters were added to the walls if they did not pass deflection or flexural requirements.

Although material properties of interlocking compressed earth blocks are well understood, there is not yet a universally accepted testing procedure document to determine the basic material properties. Also, few studies have been conducted on the effect of moisture on block compressive strength, the addition of cementious materials other than Portland cement, the interaction between silt and clay particle content and cement content, and the effect of varying cement ratios in the mix for interlocking rhino blocks such as those pressed with the Soeng Thai BP6 block press.

The resurgence of earthen construction in the form of interlocking compressed earth blocks is still in progress. As a result, it has a long way to go before design standards are codified and the technology gains institutional acceptance. With the globalization of the economy and the rising of median incomes throughout the world, compressed earth block technology may experience a reduction in interest in favor of less labor intensive materials. However, although they have not been institutionally accepted, interlocking compressed earth blocks used within the context of a properly designed structural system still remain a viable material for many developing countries around the world because of their cost, durability, and aesthetic qualities.

## References

"Acitve Faults and Trenches in the Philippines ." Philippine Institute of Volcanology and Seismology. Department of Science and Technology, n.d. Web. 10 May 2013. <www.phivolcs.dost.gov.ph/>.

Barrier, E., Huchon, P., \& Aurelio, M. (1991). Philippine fault: A key for Philippine kinematics. Geology, 19, 32-35.

Brandow, Gregg E., Chukwuma G. Ekwueme, and Gary C. Hart. 2009 design of reinforced masonry structures. 6 ed. Citrus Heights, CA: Concrete Masonry Association of California and Nevada, 2011. Print.

Bland, D. W. (2011). In-Plane Cyclic Shear Performance of Interlocking Compressed Earth Block Shear Walls. Master's Theses and Project Reports, 2011, 1-144. Retrieved August 10, 2011, from the Cal Poly Digital Commons database.

Building code requirements and specification for masonry structures: containing Building code requirements for masonry structures (TMS 402-08/ACI530-08/ASCE 5-08), Specification for masonry structures (TMS 602-08/ACI 530.1-08/ASCE 6-08) and companion com. Boulder, Colo.: Masonry Society, 2008. Print.

Building code requirements for structural concrete (ACI 318-08) and commentary. Farmington Hills, Mich.: American Concrete Institute, 2008. Print.

Burroughs, S. (2006). Strength of compacted earth: linking soil properties to stabilizers. Building Research \& Information, 34(1), 55-65.

Chadwell, C. and Imbsen, R. (2004) XTRACT: A Tool for Axial Force - Ultimate Curvature Interactions. Structures 2004: pp. 1-9.

Deboucha, S., \& Hashim, R. (2011). A review on bricks and stabilized compressed earth blocks. Scientific Research and Essays, 6(3), 499-506.

Ghugal, Y. M., \& Sharma, R. (2011). A Refined Shear Deformation Theory for Flexure of Thick Beams. Latin American Journal of Solids and Structures, 8, 183-195.

Hatzinikolos, M., Longworth, J., \& Warwaruk, J., "Strength and Behavior of Anchor Bolts Embedded in Concrete Masonry," Proceedings, $2^{\text {nd }}$ Canadian Masonry Conference, Carleton University, Ottawa, Ontario, June 1980 pp. 549-563.

Herskedal, N. A. (2012). Investigation of Out-of-Plane Properties of Interlocking Compressed Earth Block Walls. Master's Theses and Project Reports, 2012, 1142. Retrieved February 12, 2013, from the Cal Poly Digital Commons database.

Hamid, A.A. \& Drysdale, R.G. (1982). Effect of Strain Gradient on Tensile Strength of Concrete Blocks. Masonry: Materials, Properties, and Performance, ASTM STP 778. J.G. Borchelt, Ed., American Society for Testing and Materials, 57-65. Hopper, P., \& Gupta, A. (2012). Cement market report on Southeast Asia. Cement industry news and events from World Cement. . Retrieved March 7, 2013, from http://www.worldcement.com/news/cement/articles/Cement_supply_and_deman d_southeast_asia.aspx

Houben, H., \& Guillaud, H. (1994). Earth construction: a comprehensive guide. London: Intermediate Technology Publications.

Kerali, A. (2005). In-service deterioration of compressed earth blocks. Geotechnical and Geological Engineering, 23, 461-468.

Lima, S. A., Varum, H., Sales, A., \& Neto, V. F. (2012). Analysis of the mechanical properties of compressed earth block masonry using the sugarcane bagasse ash. Construction and Building Materials, 35, 829-837.

Minimum design loads for buildings and other structures. Reston, VA: American Society of Civil Engineers/Structural Engineering Institute, 2006. Print.

Molas, G., Yamazaki, F., \& Tomatsu, Y. (1992). Earthquake engineering: 10th World Conference : Papers.. Rotterdam: A. A. Balkema.

Morel, J. C., \& Pkla, A. (2002). A model to measure compressive strength of compressed earth blocks with the ' 3 points bending test'. Construction and Building Materials, 16, 303-310.

National Structural Code of the Philippines (6 ed., pp. 2.5-2.95). (2010). Chapter 2: Minimum Design Loads. Quezon City: Association of Structural Engineers of the Philippines.

Proto, C., Sanchez, D., Rowley, K., \& Thompson, R. (2010). "ICEB: Design and Construction Manual." Senior Project, Cal Poly San Luis Obispo, California.

Reddy, B. V. Venkatarama, Lal, R., \& Rao, K. N. (2007). Optimum Soil Grading for the Soil-Cement Blocks. Journal of Materials in Civil Engineering, 19(2), 139-148.

Reddy, B. V. Venkatarama, \& Gupta, A. (2005). Characteristics of soil-cement blocks using highly sandy soils. Materials and Structures, 38, 651-658.

Steel construction manual. 13. ed. Chicago, III.: American Institute of Steel Construction, 2007. Print.

Stirling, B. J. (2011). Flexural Behavior of Interlocking Compressed Earth Block Walls Subjected to In-Plane Loading. Master's Theses and Project Reports, 2011, 1199. Retrieved August 14, 2011, from the Cal Poly Digital Commons database.

Varela, J., Tanner, J., \& Klingner, R. (2004). Development of Response Modification Coefficient and Deflection Amplification Factor for Design of AAC Structural Systems . 13th World Conference on Earthquake Engineering, 1058, 1-13.

Voon, K.C., \& Ingham, J.M. (2006). "Experimental In-Plane Shear Strength Investigation of Reinforced Concrete Masonry Walls." Journal of Structural Engineering (ASCE), 123(3), 400-408.

Walker, P., \& Stace, T. (1997). Properties of some cement stabilised compressed earth blocks and mortars. Materials and Structures, 30, 545-551.

Whittaker, A., Hart, G., \& Rojahn, C. (1999). Seismic Response Modification Factors. Journal of Structural Engineering, 125, 438-444.

Wheeler, G. (2005). Interlocking Compressed Earth Blocks Volume II. Manual of Construction. Eschborn: German Appropriate Technology Exchange-GATE.

## Appendix A: Estimation of Response Modification Factor and Displacement Amplification Factor

Estimation of Response Modification Factor From Test Results

|  | Wall 3 (Bland) | Wall 4 (Stirling) | Wall 5 (Stirling) |
| :---: | :---: | :---: | :---: |
| Wall Height (m) | 1.8 | 1.8 | 1.8 |
| Effective Wall Height $\mathrm{L}_{\text {effective }}(\mathrm{m})$ | 1.8 | 1.8 | 0.9 |
| Shear Depth d (m) | 1.8 | 0.9 | 1.8 |
| Length of Plastic Hinge $L_{p}(m)$ | 0.9 | 0.45 | 0.9 |
| XTRACT Output |  |  |  |
| Overstrength Factor $\Omega_{0}$ | 1.18 | 1.08 | 1.06 |
| Yield Curvature $\varphi_{y}(1 / \mathrm{m})$ | 1.74E-03 | $3.47 \mathrm{E}-03$ | $2.25 \mathrm{E}-03$ |
| Ultimate Curvature $\varphi_{u}(1 / \mathrm{m})$ | 5.60E-03 | 3.09E-02 | 3.32E-02 |
| Curvature Ductility $\mu_{\varphi}$ | 3.22 | 8.90 | 14.77 |
| ACI Lumped Plasticity Method |  |  |  |
| Effective Yield Curvature $\varphi_{y}{ }^{\prime}(1 / m)$ | $1.89 \mathrm{E}-03$ | 3.60E-03 | $2.31 \mathrm{E}-03$ |
| Effective Yield Displacement $\Delta_{y^{\prime}}(\mathrm{m})$ | 2.04E-03 | 3.89E-03 | $6.24 \mathrm{E}-04$ |
| Plastic Curvature $\varphi_{p}(1 / m)$ | 3.71E-03 | 2.73E-02 | 3.09E-02 |
| Plastic Rotation $\theta_{p}(\mathrm{rad})$ | 3.34E-03 | $1.23 \mathrm{E}-02$ | $2.78 \mathrm{E}-02$ |
| Plastic Displacement $\Delta_{p}(\mathrm{~m})$ | 4.51E-03 | $1.93 \mathrm{E}-02$ | $1.25 \mathrm{E}-02$ |
| Total Displacement $\Delta_{u}(\mathrm{~m})$ | 6.54E-03 | 2.32E-02 | $1.31 \mathrm{E}-02$ |
| Calculated Displacement Ductility $\mu_{\Delta}$ | 3.21 | 5.97 | 21.04 |
| Actual Displacement Ductility $\mu_{\Delta}$ | 2.63 | 6.06 | N/A |
| Element Response Modification Coefficient R | 2.33 | 3.31 | 6.41 |
| Displacement Amplification Factor $\mathrm{C}_{\mathrm{d}}$ | 3.77 | 6.43 | 22.24 |

Test results from Bland and Stirling were used to calibrate a model in XTRACT.
Material model inputs were as closely modeled to actual tested material models as possible. An ICEB model with strain at peak stress of 0.0025 was used to simulate the behavior of the earth masonry, and 40 ksi steel with yield strain of 0.001 and strain at onset of strain hardening of 0.008 was input for the behavior of the flexural
reinforcement. The displacement ductility (ultimate displacement divided by yield displacement) from three flexurally dominated test walls was compared to displacement ductility calculated using XTRACT yield curvature and ultimate curvature outputs with the ACI lumped plasticity method with the length of the plastic hinge taken as half the wall height and the effective height of the wall as equal to the full wall height. As shown, the calculated displacement ductility matched fairly well with the actual displacement ductility for Walls 3 and 4, with a $22 \%$ difference for Wall 3 and a $1 \%$ different for Wall 4. This model did not account for shear deformation or block sliding in its calculation of ultimate and yield displacement.

Deriving ductility-bassed response modification coefficient using lumped plasticity.

$\phi_{y}^{\prime}=\frac{1}{2}\left(\frac{m_{u}}{m_{y}}+1\right) \phi_{y} \quad$ (effective curvature)
$\Delta_{y}^{\prime}=\frac{1}{3} \phi_{y}^{\prime} L^{2} \quad$ (effective yield displacement)
Length of plastic hinge $=h / 2$ (h is height of section)
$\phi_{p}=\phi_{u}-\phi_{y}^{\prime} \quad$ (plastic curvature)
$\theta_{p}=\phi_{p} L_{p} \quad$ (plastic rotation)
$\Delta_{p}=\theta_{p}\left(L-\frac{L p}{2}\right) \quad$ (phatic dispkement)
$\Delta_{4}=\Delta^{\prime} y+\Delta p \quad$ (ultimate edipherent)
$\frac{\Delta u}{\Delta \Delta_{y}^{\prime}}=\mu_{L} \quad$ (displacement ductility)
$R=\sqrt{2 \mu_{n}-1} \quad$ (response modification for ductility)
See Estimation of Response Modification Factor bible for test results
and calculated results using moment curvature data from XTRACT.
Wall 3:

$$
\begin{array}{rlrl}
\text { Wall 3: } & L=1.8 \mathrm{~m} \quad \phi_{y}=1.74 E \cdot 03(1 / \mathrm{m}) \\
& h=1.8 \mathrm{~m} \quad \phi_{4}=5.60 E-03(1 / \mathrm{m}) \\
& L_{p}=0.9 \mathrm{~m} \quad \mu_{\phi}=3.22 & \\
& l_{0}=1.18 \quad \phi_{p}=3.71 E-03(1 / \mathrm{m}) \quad \Delta u=6.54 E-03 \\
\phi_{y}^{\prime}=1.99 E-03(1 / \mathrm{m}) \quad \phi_{p} \\
\Delta_{y}^{\prime}=2.04 E-03(1 / \mathrm{m}) \quad \theta_{p}=3.34 E-03 \mathrm{rad} \quad & \Delta u \\
& \Delta p=3.51 E-03 \mathrm{~lm}) & \Delta y
\end{array}
$$

Estimation of Cd from Bland and stirling test results for wall 3, 4, 5
Displccerant Amplification Factor

$$
C_{d}=\frac{\Delta u}{\Delta_{y}^{\prime}} \Omega_{0}
$$

Wall 3 : XTRACT output: $\Omega_{0}=1.18$
Using ACI Lumped Plasticity method,

$$
\Delta_{u}=6.54 E-03 \mathrm{~m}
$$

$\left.\Delta_{y}^{\prime}=2.04 E-03 \mathrm{~m}\right\}$ derived previously in this Appendix
$C_{d}=\frac{\Delta u}{\Delta^{\prime} y} \Omega_{0}=3.77$ for Wall 3 (Bland) (1:1 aspect ratio)
$C_{d}=6.43$ for Wall 4 (Stirling) (z:1 aspect ratio)
We. $L_{d}=3.0$ for ICEB walls as conservative estimate.
This is reasonable for $R=2.0$. Due to the uncertainty of slicing deflection and variable black geometry, design wills to primarily remain in the linear elastic range.

For use only in an academic or research setting.
Material Name: ICEB
Material Type: User Defined
5/23/2013
inn
Page of $\qquad$

Input Parameters:

| Ultimate Compresive Strain: | 2.50 |
| :--- | ---: |
| Compression Yield Strain: | 2.00 |
| Tensile Yield Strain: | 1.00 |
| Ultimate Tensile Strain: | 1. |
| Additional Information: | 'S |
| Material Color States: |  |

Yield
Stress Strain Points:

| Strain | Stress (MP |
| :---: | :---: |
| 0 | 0 |
| $1.000 \mathrm{E}-3$ | .4792 |
| $2.000 \mathrm{E}-3$ | .9167 |
| $3.000 \mathrm{E}-3$ | 1.313 |
| $4.000 \mathrm{E}-3$ | 1.667 |
| $5.000 \mathrm{E}-3$ | 1.979 |
| $6.000 \mathrm{E}-3$ | 2.250 |
| $7.000 \mathrm{E}-3$ | 2.479 |
| $8.000 \mathrm{E}-3$ | 2.667 |
| $9.000 \mathrm{E}-3$ | 2.813 |
| $10.00 \mathrm{E}-3$ | 2.917 |
| $11.00 \mathrm{E}-3$ | 2.979 |
| $12.00 \mathrm{E}-3$ | 3.000 |

For use only in an academic or research setting.

Material Name: Grade 40
Material Type: Strain Hardening Steel
6/13/2013
inn
Page $\qquad$ of $\qquad$

## Input Parameters:

| Yield Stress: | 378.0 MPa |
| :--- | :--- |
| Fracture Stress: | 482.6 MPa |
| Yield Strain: | $1.891 \mathrm{E}-3$ |
| Strain at Strain Hardening: | $8.000 \mathrm{E}-3$ |
| Failure Strain: | $90.00 \mathrm{E}-3$ |
| Elastic Modulus: | $199.9 \mathrm{E}+3 \mathrm{MPa}$ |
| Additional Information: | Symetric Tension and Comp. |

## Model Details:

For Strain $-\varepsilon<\varepsilon_{\mathrm{y}} \quad$ fs $=\mathrm{E} \cdot \varepsilon$
$\begin{array}{ll}\text { For Strain }-\varepsilon<\varepsilon_{\text {sh }} & f s=f_{y} \\ \text { For Strain }-\varepsilon<\varepsilon_{\text {su }} & f s=f_{U}-\left(f_{u}-f_{Y}\right) \cdot\left(\frac{\varepsilon_{s u}-\varepsilon}{\varepsilon_{s u}-\varepsilon_{s h}}\right)^{2}\end{array}$
$\varepsilon=$ Steel Strain
fs = SteelStress
$\mathrm{f}_{\mathrm{y}}=$ YieldStress
$\mathrm{f}_{\mathrm{u}}=$ Fracture Stress
$\varepsilon_{y}=$ Yield Strain
$\varepsilon_{\text {sh }}=$ Strain at Strain Hardening
$\varepsilon_{\text {su }}=$ Failure Strain
$\mathrm{E}=$ Elastic Modulus

## Material Color States:

Tension force after onset of strain hardeningTension force after yieldInitial stateCompression force after yield
Compression force after onset of strain hardening


For use only in an academic or research setting.

Material Name: Concrete
Material Type: Unconfined Concrete
inn
Page $\qquad$ of $\qquad$

## Input Parameters:

| Tension Strength: | 0 MPa |
| :--- | :--- |
| 28 Day Strength: | 21.00 MPa |
| Post Crushing Strength: | 0 MPa |
| Tension Strain Capacity: | 0 Ten |
| Spalling Strain: | $6.000 \mathrm{E}-3 \mathrm{Comp}$ |
| Failure Strain: | $4.000 \mathrm{E}-3 \mathrm{Comp}$ |
| Elastic Modulus: | $21.69 \mathrm{E}+3 \mathrm{MPa}$ |
| Secant Modulus: | 1523 MPa |

## Model Details:

| For Strain $-\varepsilon<2 \cdot \varepsilon_{\mathrm{t}}$ | $\mathrm{fc}=0$ |
| :--- | :--- |
| For Strain $-\varepsilon<0$ | $\mathrm{fc}=\varepsilon \cdot \mathrm{Ec}$ |
| For Strain $-\varepsilon<\varepsilon_{\mathrm{cu}}$ | $\mathrm{fc}=\frac{\mathrm{f}_{\mathrm{c}} \cdot \mathrm{x} \cdot \mathrm{r}}{\mathrm{r}-1+\mathrm{x}^{\mathrm{T}}}$ |
| For Strain $-\varepsilon<\varepsilon_{\mathrm{sp}}$ | $\mathrm{fc}=\mathrm{f}_{\mathrm{cu}}+\left(\mathrm{f}_{\mathrm{cp}}-\mathrm{f}_{\mathrm{cu}}\right) \cdot \frac{\left(\varepsilon-\varepsilon_{\mathrm{cu}}\right)}{\left(\varepsilon_{\mathrm{sp}}-\varepsilon_{\mathrm{cu}}\right)}$ |

$$
\mathrm{x}=\frac{\varepsilon}{\varepsilon_{\mathrm{cc}}}
$$

$$
\mathrm{r}=\frac{\mathrm{Ec}}{\mathrm{Ec}-\mathrm{E}_{\mathrm{sec}}}
$$

$$
\mathrm{E}_{\mathrm{sec}}=\frac{\mathrm{f}_{\mathrm{c}}}{\varepsilon_{\mathrm{cc}}}
$$



## Material Color States:

$\square$ Tension strain after tension capacity
$\square$ Tension strain before tension capacity
$\square$ Initial state
$\square$ Compression before crushing strain
$\square$ Compression before end of spallingCompression after spalling

## Reference:

Mander, J.B., Priestley, M. J. N., "Observed Stress-Strain
Behavior of Confined Concrete", Journal of Structural
Engineering, ASCE, Vol. 114, No. 8, August 1988, pp. 1827-1849

$$
\varepsilon=\text { Concrete Strain }
$$

$$
\mathrm{fc}=\text { Concrete Stress }
$$

$$
\mathrm{Ec}=\text { Elastic Modulus }
$$

$$
\mathrm{E}_{\text {sec }}=\text { Secant Modulus }
$$

$$
\varepsilon_{\mathrm{t}}=\text { Tension Strain Capacity }
$$

$$
\varepsilon_{\mathrm{cu}}=\text { Ultimate Concrete Strain }
$$

$$
\varepsilon_{c c}=\text { Strain at PeakStress }=.002
$$

$$
\varepsilon_{\mathrm{sp}}=\text { Spalling Strain }
$$

$$
\mathrm{f}_{\mathrm{c}}=28 \text { Day Compressive Strength }
$$

$$
\mathrm{f}_{\mathrm{cu}}=\text { Stress at } \varepsilon_{\mathrm{cu}}
$$

$$
f_{c p}=\text { Post Spalling Strength }
$$

$\qquad$

Section Details:

| X Centroid: | $-5.22 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $1.11 \mathrm{E}-14 \mathrm{~mm}$ |
| Section Area: | $270.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |
| EI gross about X: | $60.06 \mathrm{E}+6 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| EI gross about Y: | $224.6 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| I trans (ICEB) about X: | $12.53 \mathrm{E}+6 \mathrm{~cm} \wedge 4$ |
| I trans (ICEB) about Y: | $46.87 \mathrm{E}+3 \mathrm{~cm} \wedge 4$ |
| Reinforcing Bar Area: | $314.2 \mathrm{~mm} \wedge 2$ |
| Percent Longitudinal Steel: | $.1164 \%$ |
| Overall Width: | 150.0 mm |
| Overall Height: | 1800 mm |
| Number of Fibers: | 216 |
| Number of Bars: | 4 |
| Number of Materials: | 2 |

Material Types and Names:


| User Defined: | $\square$ ICEB |
| :--- | :--- |
| Strain Hardening Steel: | $\square$ Grade 40 |

## Comments:

For use only in an academic or research setting.

Section Name: ICEB David Wall 3
Loading Name: Moment Curvature

Analysis Type:
inn
Page $\qquad$ of $\qquad$

## Section Details:

| X Centroid: | $-5.22 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $1.11 \mathrm{E}-14 \mathrm{~mm}$ |
| Section Area: | $270.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |

## Loading Details:

Incrementing Loads:
Number of Points:
Analysis Strategy:

## Analysis Results:

| Failing Material: | ICEB |
| :--- | :--- |
| Failure Strain: | $2.500 \mathrm{E}-3 \mathrm{Compression}$ |
| Curvature at Initial Load: | $01 / \mathrm{m}$ |
| Curvature at First Yield: | $1.735 \mathrm{E}-3 \mathrm{1} / \mathrm{m}$ |
| Ultimate Curvature: | $5.595 \mathrm{E}-31 / \mathrm{m}$ |
| Moment at First Yield: | $62.08 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Ultimate Moment: | $85.86 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Centroid Strain at Yield: | $.4164 \mathrm{E}-3 \mathrm{Ten}$ |
| Centroid Strain at Ultimate: | $2.442 \mathrm{E}-3 \mathrm{Ten}$ |
| N.A. at First Yield: | 240.0 mm |
| N.A. at Ultimate: | 436.5 mm |
| Energy per Length: | 356.9 N |
| Effective Yield Curvature: | $2.042 \mathrm{E}-31 / \mathrm{m}$ |
| Effective Yield Moment: | $73.08 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Over Strength Factor: | 1.175 |
| EI Effective: | $35.78 \mathrm{E}+6 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| Yield EI Effective: | $3.597 \mathrm{E}+6 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| Bilinear Harding Slope: | $10.05 \%$ |
| Curvature Ductility: | 2.739 |

## Comments:

User Comments



## - Moment Curvature Relation Moment Curvature Bilinearization

For use only in an academic or research setting.
Section Name: ICEB Brad Wall 4
inn
Page of $\qquad$

Section Details:

| X Centroid: | $-1.84 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $-4.69 \mathrm{E}-15 \mathrm{~mm}$ |
| Section Area: | $135.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |
| EI gross about X: | $9.375 \mathrm{E}+6 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| EI gross about Y: | $118.1 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| I trans (ICEB) about X: | $1.956 \mathrm{E}+6 \mathrm{~cm} \wedge 4$ |
| I trans (ICEB) about Y: | $24.64 \mathrm{E}+3 \mathrm{~cm} \wedge 4$ |
| Reinforcing Bar Area: | $157.1 \mathrm{~mm} \wedge 2$ |
| Percent Longitudinal Steel: | $.1164 \%$ |
| Overall Width: | 150.0 mm |
| Overall Height: | 900.0 mm |
| Number of Fibers: | 270 |
| Number of Bars: | 2 |
| Number of Materials: | 2 |

Material Types and Names:


User Defined:
ICEB
Strain Hardening Steel:
Grade 40

## Comments:

For use only in an academic or research setting.

Section Name: ICEB Brad Wall 4
Loading Name: Moment Curvature

Analysis Type:
5/14/2013
inn
Page $\qquad$ of $\qquad$

Section Details:

| X Centroid: | $-1.84 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $-4.69 \mathrm{E}-15 \mathrm{~mm}$ |
| Section Area: | $135.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |

## Loading Details:

Incrementing Loads:
Number of Points:
Analysis Strategy:

## Analysis Results:

| Failing Material: | ICEB |
| :--- | :--- |
| Failure Strain: | $2.500 \mathrm{E}-3 \mathrm{Compression}$ |
| Curvature at Initial Load: | $01 / \mathrm{m}$ |
| Curvature at First Yield: | $3.469 \mathrm{E}-3 \mathrm{1} / \mathrm{m}$ |
| Ultimate Curvature: | $30.88 \mathrm{E}-3 \mathrm{1} / \mathrm{m}$ |
| Moment at First Yield: | $21.19 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Ultimate Moment: | $24.86 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Centroid Strain at Yield: | $.5032 \mathrm{E}-3 \mathrm{Ten}$ |
| Centroid Strain at Ultimate: | $11.05 \mathrm{E}-3 \mathrm{Ten}$ |
| N.A. at First Yield: | 145.1 mm |
| N.A. at Ultimate: | 357.9 mm |
| Energy per Length: | 693.3 N |
| Effective Yield Curvature: | $3.778 \mathrm{E}-31 / \mathrm{m}$ |
| Effective Yield Moment: | $23.08 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Over Strength Factor: | 1.077 |
| EI Effective: | $6.109 \mathrm{E}+6 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| Yield EI Effective: | $65.92 \mathrm{E}+3 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| Bilinear Harding Slope: | $1.079 \%$ |
| Curvature Ductility: | 8.175 |


$\qquad$

Section Details:

| X Centroid: | $-2.87 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | -521.0 mm |
| Section Area: | $360.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |
| EI gross about X: | $94.88 \mathrm{E}+6 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| EI gross about Y: | $6.011 \mathrm{E}+6 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| I trans (ICEB) about X: | $19.80 \mathrm{E}+6 \mathrm{~cm} \wedge 4$ |
| I trans (ICEB) about Y: | $1.254 \mathrm{E}+6 \mathrm{~cm} \wedge 4$ |
| Reinforcing Bar Area: | $471.2 \mathrm{~mm} \wedge 2$ |
| Percent Longitudinal Steel: | $.1309 \%$ |
| Overall Width: | 750.0 mm |
| Overall Height: | 1800 mm |
| Number of Fibers: | 159 |
| Number of Bars: | 6 |
| Number of Materials: | 2 |

Material Types and Names:


| User Defined: | $\square$ ICEB |
| :--- | :--- |
| Strain Hardening Steel: | $\square$ Grade 40 |

## Comments:

For use only in an academic or research setting.

Section Name: ICEB Brad Wall 5
Loading Name: Moment Curvature

Analysis Type:
Moment Curvature
5/14/2013
inn
Page $\qquad$ of $\qquad$

## Section Details:

| X Centroid: | $-2.87 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | -521.0 mm |
| Section Area: | $360.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |
| Loading Details: |  |
| Incrementing Loads: | Mxx Only |
| Number of Points: | 8 |
| Analysis Strategy: | Displacement Control |

## Analysis Results:

| Failing Material: | ICEB |
| :--- | :--- |
| Failure Strain: | $2.500 \mathrm{E}-3 \mathrm{Compression}$ |
| Curvature at Initial Load: | $01 / \mathrm{m}$ |
| Curvature at First Yield: | $2.247 \mathrm{E}-3 \quad 1 / \mathrm{m}$ |
| Ultimate Curvature: | $3.319 \mathrm{E}-31 / \mathrm{m}$ |
| Moment at First Yield: | $138.5 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Ultimate Moment: | $146.7 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Centroid Strain at Yield: | $.5515 \mathrm{E}-3 \mathrm{Ten}$ |
| Centroid Strain at Ultimate: | $1.156 \mathrm{E}-3 \mathrm{Ten}$ |
| N.A. at First Yield: | 245.4 mm |
| N.A. at Ultimate: | 348.4 mm |
| Energy per Length: | 308.6 N |
| Effective Yield Curvature: | $2.254 \mathrm{E}-31 / \mathrm{m}$ |
| Effective Yield Moment: | $138.9 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Over Strength Factor: | 1.057 |
| EI Effective: | $61.61 \mathrm{E}+6 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| Yield EI Effective: | $7.376 \mathrm{E}+6 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| Bilinear Harding Slope: | $11.97 \%$ |
| Curvature Ductility: | 1.472 |

## Comments:

User Comments



## $\square$ Moment Curvature Relation <br> Moment Curvature Bilinearization

For use only in an academic or research setting.

Section Name: ICEB Brad Wall 5
Loading Name: Flange Tension
Analysis Type:
Moment Curvature
5/14/2013
inn
Page of $\qquad$

## Section Details:

X Centroid:
Y Centroid:
Section Area:
Loading Details:

| Incrementing Loads: | Mxx Only |
| :--- | :--- |
| Number of Points: | 30 |
| Analysis Strategy: | Displacement Control |

## Analysis Results:

| Failing Material: | ICEB |
| :--- | :--- |
| Failure Strain: | $2.500 \mathrm{E}-3 \mathrm{Compression}$ |
| Curvature at Initial Load: | $01 / \mathrm{m}$ |
| Curvature at First Yield: | $-1.413 \mathrm{E}-3 \quad 1 / \mathrm{m}$ |
| Ultimate Curvature: | $-30.77 \mathrm{E}-3 \mathrm{1} / \mathrm{m}$ |
| Moment at First Yield: | $-68.71 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Ultimate Moment: | $-116.8 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Centroid Strain at Yield: | $.3666 \mathrm{E}-3 \mathrm{Ten}$ |
| Centroid Strain at Ultimate: | $17.37 \mathrm{E}-3 \mathrm{Ten}$ |
| N.A. at First Yield: | -259.5 mm |
| N.A. at Ultimate: | -564.7 mm |
| Energy per Length: | 3156 N |
| Effective Yield Curvature: | $1.970 \mathrm{E}-31 / \mathrm{m}$ |
| Effective Yield Moment: | $95.81 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Over Strength Factor: | -1.219 |
| EI Effective: | $48.64 \mathrm{E}+6 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| Yield EI Effective: | $730.3 \mathrm{E}+3 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| Bilinear Harding Slope: | $1.501 \%$ |
| Curvature Ductility: | 15.62 |

## Comments:

User Comments



## $\square$ Moment Curvature Relation Moment Curvature Bilinearization

Appendix B: Philippines Quadruplex Design Spreadsheets and Verification Calculations

Verification Calculations for Quadruplex Design Spreadsheet
Lateral force resisting system cakulations referenced from Laritus Lore Howe Calculations by Daniel Mostraks, attached to these calculations.

Seismic Weight of Structure: NSCP 208.5.1.1

$$
\begin{array}{r}
373.7 \mathrm{hN}+47.21 \mathrm{hN}+0.1(78.69 \mathrm{kN})=428.79 \mathrm{hN} \quad C_{S}=0.48 \quad(\text { ASCE } 1 \\
(22.8-2)
\end{array}
$$

ILEB walls Root components Root live bad + components
$V_{\text {base }}=C_{s} W=205.82 \mathrm{WN}$
$f_{m}^{\prime}=3 \mathrm{MPa} \quad$ (B land 2011 Figure 3.12)
$f_{y}=206 \mathrm{MPa} \quad$ (Gr. 30 steed $)$
Elastic modulus $E_{n}=137 \mathrm{f}_{\mathrm{m}}$. (Bland 2011 p .44 )

$$
E_{m}=411 \mathrm{MPa}
$$

Shear mature $E_{V}=0.4 E_{m}=164 \mathrm{MPa}$
Determination of Wall stiffresses and Percentage of Total stifforess
Wall 2: Loading in y direction (north-south)
$h=2200 \mathrm{~mm} \quad \prod_{1}^{150_{\mathrm{mm}}=T}$
plan view

$$
\begin{aligned}
A & =1200 \mathrm{~m} \times 130 \mathrm{~mm}=180000 \mathrm{~mm}^{2} \\
I_{x x} & =\frac{1}{12} T L^{3}=2.16 \times 10^{10} \mathrm{~mm}^{4} \\
I_{y y} & =\frac{1}{12} L T^{3}=3.38 \times 10^{8} \mathrm{~mm}^{4} \\
K_{i x} & =\frac{3 E I}{h^{3}}+\frac{E_{v}(A)}{1.2 \mathrm{~h}} \quad(\text { Fix - free condition }) \rightarrow \\
& =\frac{3(411 \mathrm{MPa})\left(2.16 \times 10^{10} \mathrm{~mm}^{4}\right)}{(2200 \mathrm{~mm})^{3}}+\frac{164 \mathrm{MPa}\left(180000 \mathrm{~mm}^{2}\right)}{1.2(2200 \mathrm{~mm})}=13.71 \frac{\mathrm{hN}}{\mathrm{~mm}}
\end{aligned}
$$

Neglect out of plane stiffness (Ky)
Total stifforess in $Y$ direction ( kx local stiffness) $=2105.97 \frac{\mathrm{hN}}{\mathrm{men}}$ $\frac{K_{\text {ix }}}{\sum K_{\text {ix }}}=0.0065$ i.e. this wall contributes $0.65 \%$ of total

Determination of Center of Rigidity

$\left(K_{i y}\right)\left(x_{i}\right)=0$ (Out of plane stiftress Ki neglected)

$$
\left(K_{i x}\right)\left(y_{i}\right)=13.7 \frac{1 \mathrm{hN}}{\mathrm{~mm}} \cdot 2400 \mathrm{~mm}=32904.7 \mathrm{hN}
$$

$$
\sum K_{i_{x}}=2105.97 \mathrm{kN} / \mathrm{mm}
$$

$$
\sum K_{i y}=1272.96 \mathrm{kN} / \mathrm{mm}
$$

$$
\begin{aligned}
\frac{\sum K_{i y}\left(x_{i}\right)}{\sum K_{i y}} & =x_{r} \quad(x \text { coordinate of center of rigidity }) \\
& =4125 \mathrm{~mm} \\
\frac{\sum K_{i x}\left(y_{i}\right)}{\sum K_{i x}} & =Y r \quad(Y \text { coordinate of center of rigidity }) \\
& =5925 \mathrm{~mm}
\end{aligned}
$$

$x_{m}$ ( $x$ carrlinate of center of mass)

$$
=4125 \mathrm{~mm}
$$

$Y_{m}$ (y coordinate of center of mass)

$$
=5925 \mathrm{~mm}
$$

$$
e_{x}=\left|x_{m}-x_{r}\right|=0
$$

$$
e_{y}=\left|y_{m}-y_{r}\right|=0
$$

The Center of Rigidity and Later of Mass are concurrent.

Determination of Rotational stiffness $J_{r}$


$$
\begin{aligned}
& \left(r_{i x}^{2}\right)\left(K_{i x}\right)=224883081.1 \mathrm{hN}-\mathrm{mm} \\
& \sum\left(r_{i x}^{2}\right)\left(K_{i x}\right)=2356289619 \mathrm{kN}-\mathrm{mm} \\
& \sum\left(r_{i y}^{2}\right)\left(K_{i y}\right)=937463382 \mathrm{hN}-\mathrm{mm} \\
& J_{r}=\sum\left(K_{i x}^{2}\right)\left(K_{i x}\right)+4\left(r_{i y}^{2}\right)\left(K_{i y}\right) \\
& =3293753002 \mathrm{kN}-\mathrm{mm} \quad \text { (Rotational stiffness) }
\end{aligned}
$$

Torsional Moments: $\quad V$ base $(x$ direction $)=V_{\text {base }}(y$ direction $)=205.82 \mathrm{kN}$

$$
\begin{aligned}
& M_{T_{x}}=V_{\text {base }}(x \text { direction }) e_{y}=0 \\
& M_{T_{y}}=V \text { base }(y \text { direction }) e_{x}=0
\end{aligned}
$$

Determination of Seismic Force Distribution
Wall 2: Torsional shew: $\frac{r_{i} \cdot K_{i} \cdot M_{i}}{J_{r}}=0 \quad\left(M_{T y}=0_{j}\right.$ torsional moment caused by $V_{b a s e}$ (y directive) $\left.)\right)$
Direct Shear: Vase $\frac{K_{i}}{\sum K_{i}}=0.0065 .205 .82 \mathrm{kN}=1.34 \mathrm{kN}$
Total $=$ Torsional shear + Direct sher $=1.34 \mathrm{kN}$

Determination of Elastic Deflection

- Timoshenko beam theory for cantilever beam with point load $P$ at end
- Assume uncracked section properties

$$
\delta_{x}=\frac{P L^{3}}{3 E I}\left(1+0.6(1+\mu) \frac{h^{2}}{L^{2}}\right)
$$

For wall 2:

$$
\begin{aligned}
& P=1.34 \mathrm{kN} \\
& L=2200 \mathrm{~mm} \\
& E=411 \mathrm{MPa} \\
& I=I_{x x}=2.16 \times 10^{10} \mathrm{~mm}^{4} \\
& \mu=0.2 \text { (rectangulm section) } \\
& h=1200 \mathrm{~mm} \\
& \delta_{x i}=0.65 \mathrm{~mm}
\end{aligned}
$$

Story Drift Deflection: ASCE 7-05 12.8-15

$$
\delta_{x}=\frac{c_{d} \delta_{x e}}{I}
$$

$C_{d}=0.5$ (Sos estimate in Appendix)
$\delta_{x e}=0.65 \mathrm{~mm} \quad\left(w_{a} 112\right)$
$I=1.0$ ASCE 7-05 Ta He 11.5-1
$8 x=4.23 \mathrm{~mm}$
$\frac{8 x}{h_{x}}=\frac{4.23 \mathrm{~mm}}{2200 \mathrm{~mm}}=0.0019<0.007$ oh 1 ASCE $7-05$ Tall e R. 2 - 1 Theight of wall e song

Additional Axial Force on Walls from Overturning Moments


For Wall 2 :

$$
\begin{aligned}
& I_{i}=2.16 \times 10^{10} \mathrm{~mm}^{4} \\
& A_{i}=180000 \mathrm{~mm}^{2} \\
& A_{i}\left(d_{i}\right)^{2}=2.23 \times 10^{12} \mathrm{~mm}^{4} \\
& I_{i}+A_{i}\left(d_{i}\right)^{2}=2.26 \times 10^{2} \mathrm{~mm}^{4} \\
& V_{b a r e}=205.82 \mathrm{uN} \text { (base shea) } \\
& M_{o v}=V_{b a v e}(\mathrm{H}) \quad \text { lovertwaing moment cha to base shear) } \\
&=205.82 \mathrm{kN}(2600 \mathrm{~mm})
\end{aligned}
$$

「 avg, wall height

$$
\begin{aligned}
M_{\text {ow }} & =535129.92 \mathrm{HN}-\mathrm{mm} \\
P_{\text {OW }} & =\frac{M_{o v} \cdot A_{i}^{\prime} \cdot d_{i}^{\prime}}{\sum\left(I_{i}+A_{i}\left(d_{i}\right)^{2}\right)} \\
& =3.73 \mathrm{kN}
\end{aligned}
$$

Determination of Gravity Loads
Wall 2: Length $=1200 \mathrm{~mm}$ Height $=2200 \mathrm{~mm}$
Tributary length: 900 mm left

$$
\frac{1950 \mathrm{~mm} \text { right }}{2150 \mathrm{~mm}}
$$




Root live load $=0.6 \mathrm{kPa} \quad$ (NSc Table 205-3)
Dead load $=0.31 \mathrm{4Pa} \cdot 285 \mathrm{~m}=0.88 \mathrm{kN} / \mathrm{m}$
Live load $=0.64 \mathrm{~Pa} \cdot 2.85 \mathrm{~m}=1.71 \mathrm{kN} / \mathrm{m}$
Earthquake load $=1.34 \mathrm{hN}$

$$
P_{o v}=3.73 \mathrm{hN}
$$

Load causes: ASCE 7-05 2.3.2

$$
\begin{aligned}
& \underline{1.40}=1.4(0.88 \mathrm{hN} / \mathrm{m}) /(1.2 \mathrm{~m})=1.48 \mathrm{kN} \text { axial } 0 \text { moment } \\
& \underline{1.20+16 L_{r}}=1.2(0.88 \mathrm{hN} / \mathrm{m})(1.2 \mathrm{~mm})+1.6(1.71 \mathrm{hN} / \mathrm{m})(1.2 \mathrm{~m})=4.56 \mathrm{hN} \text { anal } 0 \text { moment } \\
& 1.20+1.0 E+0.5 L_{r}=1.2(0.88 \mathrm{hN} / \mathrm{m})(1.2 \mathrm{~m})+0.2 \mathrm{~S}_{D S} D+0.5(1.71 \mathrm{~cm} / \mathrm{m})(1.2 \mathrm{~m})+\mathrm{Pov}_{\mathrm{ov}} \\
& =1.27+0.2(0.96)(0.88 \mathrm{w} / \mathrm{m})(1.2 \mathrm{~m})+1.03+3.73 \mathrm{kN} \\
& =6.23 \mathrm{kN} \text { axial } \leftarrow \text { governs }
\end{aligned}
$$

Moment: $1.34 \mathrm{kN}(2.2 \mathrm{~m}) \doteq 2.95 \mathrm{kN}-\mathrm{m} \leftarrow$ governs
Note: - Account for vertical acceleration 0.25.5sD per ASCE 7-05 12.4.2.2 - $\rho$ in 12.4.2.3 (5) and 12.4.2.1 $=1.0$ per Table 12.3-3

$$
\begin{aligned}
0.9 D-7.0 E & =0.9(0.88 \mathrm{hN} / \mathrm{m})(1.2 \mathrm{~m})-0.2 \text { Sos }^{0}-\text { Prov } \\
& =0.9(1.06 \mathrm{hN})-0.2(0.96)(1.06 \mathrm{hN})-3.73 \mathrm{uN} \\
& =-2.98 \mathrm{hN} \text { (tension }) \longleftarrow \text { tension governing case }
\end{aligned}
$$

Moment: $1.34 \mathrm{hN}(2.2 \mathrm{~m})=2.95 \mathrm{uN}-\mathrm{m}$
Compere with P-M interaction diagrams generated in XTRACT

Shear Design of Walls
Wall 2: Length $=1200 \mathrm{~m} \quad$ Height $=2200 \mathrm{~mm} \quad f_{m}^{\prime}=3 \mathrm{MPa}$

$$
\begin{aligned}
& \text { Width }=150 \mathrm{~mm} \\
& A_{y}=180000 \mathrm{~mm}^{2}
\end{aligned}
$$

3 flexural bars $(10 \mathrm{~mm})=235.62 \mathrm{~mm}^{2}$

$$
\begin{aligned}
A_{n} & =A_{g}-235.62 \mathrm{~mm}^{2} \\
& =179764.38 \mathrm{~mm}^{2} \\
d_{v} & =L-75 \mathrm{~mm}=1200 .-75 \mathrm{~mm}=1125 \mathrm{~mm} \\
M_{n} & =2947.84 \mathrm{uN}-\mathrm{mm} \text { (governing moment) }
\end{aligned}
$$

$$
V_{u}=\left(\frac{\left(M_{n}\right)(F . S .)(1.25)^{4}}{\phi}\right)^{4} \quad \text { Overstrength factor MSSC 1.17.3.2.6.1.1 }
$$ potable moment)

$$
\text { F.S }=1.10 \text { (Designe rchoice) }
$$

$$
h=2200 \mathrm{~mm}
$$

$$
V_{u}=\frac{(2947.84 \mathrm{kN}-\mathrm{mm})(1.1)(1.25)}{0.9}
$$

$=2.05 \mathrm{kN}$ (to capacity protect against sher failure)
$P_{u}=-2.98 \mathrm{kN} \longleftarrow$ smallest axial had corse for sheer design
$\phi V_{n} \geq V_{n} \quad \phi=0.75 \quad$ (shear reaction factor)

$$
\begin{aligned}
& \left.V_{n}=V_{n_{\text {ICE B }}}+V_{n_{S}} \quad \text { (based an MSSC } E_{q .3}-19\right) \\
& V_{\text {ILEA }}=k\left[0.083\left[4.0-1.75 \frac{M u n_{u}}{V_{\text {adv }}}\right] A_{n} \sqrt{f_{m}^{\prime}}+0.25 \mathrm{Pu}_{1}\right]
\end{aligned}
$$

$k=0.4$ fully granted
$k=0.2$ partially grounded
$V_{\text {nICE }}=8947.65 \mathrm{~N}$ for partially grouted wall

Sheer Dosign of Walls contined

$$
\begin{aligned}
& V_{A_{s}}=0.5\left(\frac{A_{v}}{s}\right) f_{y} d v \\
& A_{v}=78.54 \mathrm{~mm}^{2} \quad(10 \mathrm{~mm} \mathrm{bar}) \\
& s=600 \mathrm{~mm} \text { (every } 6 \text { conses) } \\
& f_{y}=206 \mathrm{MPa} \quad(6 r .30) \\
& d_{v}=1125 \mathrm{~mm} \\
& V_{n s}=1568 \mathrm{~N}
\end{aligned}
$$

$$
\text { Chech max } V_{n}: \frac{M_{u}}{V_{n} d v} \geq 1.00 \quad \text { MSSL } \xi_{0}^{3-21)}
$$

$$
\frac{M_{n}}{V_{\text {udv }}}=1.69
$$

$$
V_{n} \leq 0.33 A_{n} \sqrt{f_{m}^{\prime}}
$$

$$
V_{n} \leq 102749 \mathrm{~N}
$$

$$
V_{n_{\text {ICEB }}}+V_{\text {NS }}=24115.65 \mathrm{~N}<102749 \mathrm{~N} \text { ok }
$$

$$
\phi V_{n} \geq V_{u}
$$

$$
(0.75)(24.115 \mathrm{hN}) \geq 2.05 \mathrm{hN}
$$

$$
18.09 \mathrm{hN} \geq 2.05 \mathrm{hN} \text { ok }
$$

theck min. steel ratio (MSJL 1.17.3.2.6 (c))
Horizontal: $\frac{A v}{b h} \geq 0.0007$

$$
\frac{78.54 \mathrm{~mm}^{2}(4 \text { bars horivakd } 1 \mathrm{~h})}{(150 \mathrm{~mm})(2200 \mathrm{~mm})}=0.0009 \geq 0.0007 \mathrm{ohV}
$$

Vertical: $\quad 0.0007 \leq \frac{A_{s}}{b_{d}} \leq 0.007 \longleftarrow M_{\text {ax }}$ from Section 3.3.3.5.1

$$
\frac{78.54 \mathrm{~mm}^{2}(3 \text { bors vertically })}{(150 \mathrm{~mm})(125 \mathrm{~mm})}=0.0013 \mathrm{ohr}
$$

Design of Anchars ACI 318-08 Apperdix D. 6 For achors at butfon and top of wall
wall 2: $V_{n}$ (nan capacity portection) $=1.34 \mathrm{kV}$
3 bars, $12_{\text {mm }}$ diameter or flexural reinforcement

$$
\begin{aligned}
f_{y} & =206 \mathrm{MPa} \quad f_{\text {waa }}=1.9 f_{y}=391.4 \mathrm{MPa} \quad f_{L}^{\prime}=22 \mathrm{MPa} \quad \text { (31100psi) } \\
V_{\text {sa }} & =n A_{s e, v} f_{\text {uta }} \quad(D-19) \\
& =(3)\left(0.25 \pi \pi 12^{2}\right)(391.4 \mathrm{mPa}) \\
& =132798.89 \mathrm{~N}
\end{aligned}
$$

$$
\begin{aligned}
& \phi V_{s a} \geq V_{u} \\
& 0.75(132799.89)=99599 \geq 1340 \mathrm{~N} \text { out }
\end{aligned}
$$

Basic Concrete Breahout Strength of a Single Anchor in Cracted Conerete


$$
V_{b}=n\left(7\left(\frac{l_{e}}{d_{a}}\right)^{0.2} \sqrt{d_{a}}\right) \lambda \sqrt{f_{c}^{\prime}}\left(c_{a_{1}}\right)^{1.5} \quad(0-24)
$$

$l_{e}=h_{\text {eff }}=300 \mathrm{~mm} \quad n=3$ bers Nok: Multiph by 4.448 for Newtons

$$
\begin{gathered}
d_{a}=n_{m \mathrm{~mm}} \\
f_{L}^{\prime}=22 \mathrm{mPa} \\
C_{a_{1}}=75 \mathrm{~mm} \\
V_{b}=35029.90 \mathrm{~N}
\end{gathered}
$$

and input in U.S. unnits: ixetes, 1bs

Nominal Concete Brabart streength of a Group of Anchors

$$
V_{c b,}=\frac{A V_{c}}{A v_{c o}} \psi_{c c, v} \psi_{e d, v} \psi_{c, v} \psi_{h, v} V_{b} \quad(D-z z)
$$

Avc $=$ pojected follure area of grop of achers


$$
\begin{aligned}
A_{V C} & =3 c_{c_{1}}(h e f f) \\
& =3\left(7 \mathrm{Jmm}_{\mathrm{m}}\right)\left(300 \mathrm{~mm}_{\mathrm{m}}\right) \\
& =6750 \mathrm{~mm}^{2}
\end{aligned}
$$

$A_{V C_{0}}=$ Projected depth foulwe area of a singe acher


$$
\begin{aligned}
A V_{V_{0}} & =4.5 \mathrm{ca}_{1}^{2} \\
& =4.5(7 \mathrm{sm})^{2}=25312.5 \mathrm{~mm}^{2}
\end{aligned}
$$

Nominal Concrete Breakout Strength of a Group of Anchors continued
Yee,v: modification factor for nether groups beaked eccentrically in shear

$$
\begin{aligned}
\Psi_{e c, V} & =\frac{1}{\left(1+\frac{2 e_{v}^{\prime}}{3 e_{1}}\right)} \quad(D-26) \\
e_{v}^{\prime} & =0 \text { per } F_{i y} \cdot R D .6 .2 .5 \\
\Psi_{e c, v} & =1.0
\end{aligned}
$$

$\psi_{e d,} v:$ mollification factor for edge effects for a group of anchors

$$
\begin{aligned}
& \psi_{e d, v}=0.7+0.3 \frac{c_{a_{2}}}{15 c_{a_{1}}} \quad(0-28) \\
& c_{a_{1}}=c_{a_{2}}=75 \mathrm{~mm} \\
& \psi_{e d, v}=0.9
\end{aligned}
$$

$\Psi_{C,} V$ : Concrete cracking modification factor
$\Psi_{c}, v=1.0$ (anchors in cracked concrete with no supplemention reinforcement) (consecutive) (D.6.2.7)
$\Psi_{H, V}=$ Modification factor for thin members, ha $<1.5 \mathrm{ca}$

$$
\begin{aligned}
& \psi_{H, V}=1.0 \quad\left(h_{a} \geq 1.5 c_{1}\right) \quad(0-2 a) \\
& V_{c b g}=\frac{67500 \mathrm{~mm}^{2}}{25312.5 \mathrm{~mm}^{2}}(1.0)(0.9)(1.0)(1.0)(35029.90 \mathrm{~N}) \\
& =84071.77 \mathrm{~N} \\
& \phi V_{n}=\min \left(V_{c b}, V b\right) \phi \\
& =0.75(35029.90 \mathrm{~N}) \\
& =26272 \mathrm{~N} \\
& V_{n}=1.34 \mathrm{kN} \Rightarrow \phi V_{n}=26.2 \mathrm{kN} \geq V_{n}=1.34 \mathrm{kN} \text { oh }
\end{aligned}
$$

Tension Breakout of Rebor

Basie concrete breakout strength of a single anchor in tension in cracked concrete:

$$
\begin{gathered}
N_{b}=k_{c} \lambda \sqrt{f^{\prime} c} h_{e f}^{1.5}(D-7) \\
k_{c}=24 \text { for cast anchors }
\end{gathered}
$$

$$
\begin{aligned}
\text { Wall 2: } & f^{\prime} L=3000 \text { psi } \\
& h_{e f}=12^{\prime \prime} \\
& \lambda=1.0 \quad \text { (nermal-wight concrete) } \\
& \begin{array}{l}
N b
\end{array} \\
& 733783.29 \mathrm{~N}
\end{aligned}
$$

Nominal concrete breakout strength of a guup of anchors:

$$
N_{\text {cog }}=\frac{A_{N}}{A_{N_{c}}} \Psi_{e c, N} \Psi_{e d, N} \Psi_{c, N} \Psi_{c p, N} N 6
$$

ANe: Projected area of tension breakent of one anchor ( $\mathrm{Ca}_{1}<1.5 \mathrm{hef}$ )


$$
A_{N C}=472500 \mathrm{~mm}^{2}
$$

Anco: Projected area of tension failure core


$$
A_{N C O}=810000 \mathrm{~mm}^{2}
$$

Tension Breakout of Rebor contimed
世ec,N: Modification factor for anchor groups bonded eccentrically is tension.

$$
\begin{aligned}
& \Psi_{e c, N}=\frac{1}{\left(1+\frac{2 e^{\prime} N}{3 h_{e f}}\right)} \quad(D-9) \\
& e_{N}^{\prime}=0 \text { so } \Psi_{e C, N}=1.0
\end{aligned}
$$

Ued, N: Modification factor for edge effects for single anchors or anchor groups bod ked in tension.

$$
\begin{aligned}
\Psi_{\text {ed, }} N & =0.7+0.3 \frac{c_{\text {a min }}}{1.5 h_{\text {hf }}} \quad(\text { for cain }<1.5 \mathrm{hef}) \quad(D-11) \\
c_{\text {a, min }} & =75 \mathrm{~mm} \\
h_{\text {hf }} & =300 \mathrm{~mm} \\
\Psi_{\text {ed, }} N & =0.75
\end{aligned}
$$

$\psi_{C, N}$ : Modification factor for anchors in tension in uncrated areas

$$
\psi_{C, N}=1.0 \quad \text { (cracked) } \quad(D .5 .2 .6)
$$

$\Psi_{C P, N}$ : Modification factor for post installed anchors designed for uncashed concrete. (D, 5. 2, 7)

$$
\Psi_{C P, N}=1.0 \text { (cast in anchors) }
$$

$$
\begin{aligned}
& N_{L b_{g}}=\frac{A_{N L}}{A_{N L O}} \Psi_{e c, N} \Psi_{e d, N} \Psi_{c, N} \Psi_{c p, N} N 6 \quad(0-5) \\
& N_{c t g}=321030.19 \mathrm{~N} \\
& N_{n}=\frac{M_{n}}{L}=\frac{2947.84 \mathrm{~N} M}{1.2 \mathrm{M}}=2456.53 \mathrm{~N} \\
& \phi N=0.75(321030.19 \mathrm{~N})=240773 \mathrm{~N} \geq N_{n}=2456.53 \mathrm{~N}
\end{aligned}
$$

Final Anchor Design:


Use this detail to connect roof diaphragm to wall with steel brackets at each rafter.

Developrent Length into fumclation of haoked rebor ACI 12.5

$$
\begin{gathered}
l_{d h}=\left(\frac{0.02 \psi_{e} f_{y}}{\lambda \sqrt{f_{L}^{\prime}}}\right) d b \\
\Psi_{e}=1.0 \quad \text { (no epary) }
\end{gathered}
$$

$\lambda=1.0 \quad$ (nornal weight annete)

$$
\begin{aligned}
& f_{L}^{\prime}=3190 \mathrm{psi} \quad(22 \mathrm{MPa}) \\
& f_{y}=30 \mathrm{hi} \quad(200 \mathrm{mpa}) \\
& d l=3 / 8^{\prime \prime} \quad(10 \mathrm{~mm}) \\
& l d h=3.98^{\prime \prime} \\
& \text { ACI } \quad 12.5 .3
\end{aligned}
$$

Use 0.7 reduction factor
$l d h=2.79^{\prime \prime}$ but must be mhimm $6^{\prime \prime}$ or 152.4 mm
We 152 mm min for all fanclation hooh embedmants.


Design for out of plane bending
Wall 2:

$$
\begin{aligned}
& \text { Length }=1200 \mathrm{~mm} \quad \text { Height }=2200 \mathrm{~mm} \\
& F_{p}=0.4 \mathrm{~W} I S_{D S} \\
& W_{p}=\text { Tributary weight it wall }
\end{aligned}
$$

$$
\begin{aligned}
& =450 \mathrm{~mm} \times 2200 \mathrm{~mm} \times 2.62 \mathrm{hN} / \mathrm{m}^{2} \\
& =0.99 \mathrm{~m}^{2} \times 2.62 \mathrm{hN} / \mathrm{m}^{2} \\
& =2.59 \mathrm{hN} \\
S_{D S} & =0.96 \\
I & =1.0 \quad \text { (Residential occupancy) } \\
F_{P} & =0.996 \mathrm{kN} \\
M & =0.996 \mathrm{kN}(2.2 \mathrm{~m}) \\
& =2.19 \mathrm{hN-m}
\end{aligned}
$$

Compere with XTRALT output for out of plane loading

Rigid vs. flexille diaphragm
Flexible diaphragm wiahsis

$$
V_{\text {the ne }}=205.82 \mathrm{kN}
$$

Diaphragm Length: 11850 mm
Diaphragm Width: 8250 mm
Diaphragm Area: $97762500 \mathrm{~mm}^{2}$
Force in $x x$ direction $=$ Vase $\cdot \frac{\text { Width }}{\text { Area }}=0.0174 \mathrm{kN} / \mathrm{mm}$
Force in ry direction $=$ Vase $\cdot \frac{\text { Length }}{\text { Area }}=0.0242 \mathrm{kN} / \mathrm{ma}$
Example for Wall Line 1:
Length of diaphragm in considered direction: 8250 mm
Force: $\quad 600 \mathrm{~mm} \times 0.0174 \mathrm{hN} / \mathrm{mm}=10.42 \mathrm{hN}$
Unit shear $=$ Force $/$ Lung th $=10.42 \mathrm{kN} / \mathrm{hnogm}=7.26 \mathrm{kN} / \mathrm{m}$ an diaphragm

Individual wall forces
Wall 2: 1200 mm long $\times 4.34 \mathrm{kN} / \mathrm{m}$ chaphragm sher $=$ 2.61 kN

Design walls for shear and flexure similar to rigid diaphragm case.

Possible roof diaphragm comection:

$24.9 \mathrm{kN} / \mathrm{m}$ (from flexile diaphragm analysis)
Rafter 1 (top view)


$$
\begin{aligned}
& M=\frac{w l^{2}}{8}=53 \mathrm{kN}-\mathrm{m} \\
& R_{A}=\frac{5}{8} \mathrm{w} \quad R_{B}=\frac{3 \mathrm{wl}}{8} \quad R_{A}=64.19 \mathrm{kN} \quad R_{B}=38.52 \mathrm{kN}
\end{aligned}
$$

Bracket and gusset design:


Section view of connection (rafter not sham)


Check local buckling (AISC Specification Table B4.1 Case 14)

$$
\begin{aligned}
& b / t \leq 1.49 \sqrt{E / F y} \\
& b / t \leq 32.75 \\
& b=40 \mathrm{~mm} \\
& t=5 \mathrm{~mm} \\
& b / t=8 \leq 32.75 \mathrm{hr}
\end{aligned}
$$

Check gusset well:
Shear:

$$
\begin{aligned}
& R_{n}=0.6 F_{E \times x} \times \frac{\sqrt{2}}{2} \times \frac{D}{16} \times l \quad(\mathrm{~J} .2-3) \\
& F_{E x x}=\text { weld rectal strength }=30 \mathrm{hsi} \\
& D=\text { well size in sixkesths of an inch }=4 / 16^{\prime \prime} \\
& l=\text { length of veld in inches } 54^{\prime \prime} \\
& R_{n}=10.81 k=48.11 \mathrm{hN} / \text { gusset } \times 2 \text { gussets }=96.2 \mathrm{hN} \\
& \phi=0.75 \text { so } 0.75(96.2)=72.17 \mathrm{hN} \geq 64.19 \mathrm{kN}
\end{aligned}
$$

Tension/Compression: Not recessory to check per Table JZ.5 Check base metal (5,2-2)

Shear: $R_{n}=F_{\text {BM }} A_{\text {gM }}$
$F_{\text {om }}=$ yield stress ot base metal

$$
=f_{u t z}=391.6 \mathrm{mPa}
$$

$A_{B M}=$ wen of base metal

$$
\begin{aligned}
& =40 \mathrm{~mm}(6 \mathrm{~mm}) \\
& =240 \mathrm{~mm}^{2} \\
& R_{n}=93.9 \mathrm{kN} \\
& \phi R_{n}=0.75(93.9 \mathrm{kN})=70.48 \mathrm{hN} \geq 64.19 \mathrm{kN} \text { oh }
\end{aligned}
$$

Final design for possible roofing connection
Rafter not shown


Use two gusset connections per rato, one each side.

Rigid Diaphragm Analysis

## Determination of Wall Stiffnesses and Percentage of Total Stiffness

| wall |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| LTmm) | ${ }_{\substack{60 \\ 150}}$ | ${ }_{\text {L200 }}^{1200}$ | ${ }_{150}{ }_{150}$ | ${ }_{\substack{750 \\ 150}}$ | $\underbrace{\text { ise }}_{\substack{\text { L200 } \\ 150}}$ | ${ }_{\text {coic }}^{600}$ | ${ }_{\substack{1200 \\ 150}}$ | - |  |  | ${ }_{\substack{1200 \\ 150}}^{\text {ate }}$ |  | ${ }_{150}$ | ${ }_{\substack{1200 \\ 150}}$ | ${ }_{\substack{600 \\ 150}}$ |  | (1200 | ${ }_{\substack{1200 \\ 150}}^{\text {ise }}$ | ${ }_{\text {1200 }}^{150}$ | ¢ |  | ${ }_{\text {cose }}^{\substack{390 \\ 150}}$ | ${ }_{\substack{1050 \\ 100}}^{\text {150 }}$ | ${ }_{\substack{3900 \\ 150}}^{\text {and }}$ | ${ }_{\substack{900 \\ 150}}$ | ${ }_{\substack{\text { 900 } \\ 150}}^{\text {a }}$ |  |
| $\mathrm{hmm}{ }^{\text {m }}$ |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| ${ }_{\text {Amma }}^{\text {Lemm }}$ |  |  | $\xrightarrow{112500}$[27-09 | $\xrightarrow{112500}$ | ${ }_{\substack{18000 \\ 2.6510}}^{10}$ |  | $\underbrace{2}_{\substack{273000 \\ 5,3510}}$ |  | $\underbrace{2}_{\substack{2000 \\ 5,3510}}$ |  | ${ }^{188000}{ }_{2 \times 6+10}^{12}$ |  |  | ${ }_{\substack{128000 \\ 2.6510}}^{\text {20, }}$ |  | $\underbrace{\substack{20}}_{\substack{\text { 2035000 }}}$ |  |  | ${ }^{1286000}$ |  | ${ }_{\substack{125300 \\ 2.55008}}$ |  | Ster | Ste9 | ${ }_{\text {2 }}$ |  |  |
|  |  |  | ${ }_{\substack{2.11608 \\ 7.62}}^{\text {a }}$ | ${ }_{\substack{2116.688 \\ 7.62}}$ | $\underbrace{}_{\substack{3.386768 \\ 13,7}}$ | ${ }_{\substack{\text { 202FFog } \\ 890}}^{80}$ | $\underbrace{}_{\substack{\text { 6.08to99 } \\ 1902}}$ | $\underbrace{}_{\substack{3 \text { atite9 } \\ 1885 \text { S }}}$ | ${ }_{\substack{\text { 6.08fo9 } \\ 19.02}}$ |  |  | ${ }_{\substack{2111608 \\ 7,62}}$ | ${ }_{\substack{21.16+68 \\ 7,62}}$ | $\underbrace{}_{\substack{3.386 .788 \\ 13,71}}$ |  |  |  | $\underbrace{}_{\substack{3 \text { 386.088 } \\ 1157}}$ | ${ }^{3.386 .08}$ [157 | 9.116 | 9,116+09 | 7.141411 | $1277+13$ | ${ }^{1 / 41+11}$ | 9.112 | 9.11te9 |  |
|  | 0.0042 | 0.065 | 0.0036 | 0.0036 | ${ }_{0}^{13.0 .785}$ | ${ }^{\text {0.0042 }}$ | ${ }_{0}^{0.0980}$ | ${ }_{\text {188,83 }}^{0.8955}$ | $\stackrel{1902}{0.090}$ | ${ }^{8.000}$ | 0.065 | ${ }_{0}^{0.0036}$ | 0.036 | ${ }_{0}^{0.0065}$ | ${ }_{0}^{0.0092}$ | ${ }^{10.020}$ | 19.02 0.0090 | 0.005 | ${ }_{0}^{0.0055}$ | ${ }_{7} 58$ | ${ }_{2}, 58$ | ${ }^{79,37}$ | ${ }^{1038388}$ | ${ }^{7937}$ | 2.58 | ${ }_{2} \mathbf{5 8}$ |  |
| ${ }_{\text {kry }}^{\text {kryizery }}$ | 0.004 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  | 0.060 | 0.0060 | 0.024 | 0.8515 | 0.024 | 0.006 | 0.0000 |  |



| Wall |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Vi(mm) | ${ }_{\substack{255 \\ 150}}^{\text {10, }}$ | ${ }_{\text {2 }}^{240}$ | ${ }_{4}^{475}$ | ${ }^{2725}$ | ${ }_{945}^{95}$ | ${ }_{\text {lile }}^{1165}$ | ${ }_{21275}^{1275}$ | ${ }_{\substack{5925 \\ 425}}^{\text {415 }}$ | ${ }_{\substack{1325}}^{1650}$ |  | ${ }_{\substack{9450 \\ 8175}}^{\text {ate }}$ | ${ }_{\substack{2715 \\ 8175}}$ | $\underbrace{\frac{4}{817}}_{\substack{4775}}$ | ${ }_{20200}^{2015}$ | ( ${ }_{\substack{255 \\ 8800}}$ |  | ${ }_{\substack{525 \\ 6150}}^{\text {cis }}$ |  |  | ${ }_{\substack{1225 \\ 2055}}$ |  | ${ }_{4575}^{4125}$ | ${ }_{5925}^{5125}$ | ${ }_{4}^{7245}$ |  |  | ${ }_{\text {10425 }}^{1025}$ |  |
| *i | $\bigcirc$ | $\stackrel{\text { \% }}{\text { 30040 }}$ | $\stackrel{0}{0}$ | $\bigcirc$ | $\stackrel{0}{0}$ | ${ }_{\text {1031763 }}$ | $\stackrel{0}{2153769}$ |  | $\stackrel{0}{2153690}$ | $\stackrel{0}{103175}$ | $\xrightarrow{0.8927}$ | $\stackrel{0}{\text { S }}$ |  | $\stackrel{0}{32040}$ | $\stackrel{0}{2035}$ | $\bigcirc$ | \% | $\stackrel{0}{0}$ | ${ }^{\circ}$ | ${ }_{1090538}^{1208}$ | ${ }^{4256539}$ | ${ }^{32740710}$ | 44710095 | 27007 |  | , 2055 | 4245639 | ${ }^{525093323}$ |
|  |  | ${ }^{32904,70}$ | 38844, | ${ }_{55008,78}$ | ${ }^{12956227}$ |  | ${ }^{21537649}$ | 111365906 | ${ }^{21537649}$ | ${ }^{103517.63}$ | ${ }_{1295627}$ | ${ }_{55008.78}$ | ${ }^{33844,70}$ | ${ }^{323040}$ | ${ }^{2003,57}$ | 998434 | ${ }^{\text {988344 }}$ | $6{ }^{653336}$ | ${ }_{685936}$ |  |  |  |  |  |  |  |  |  |
| ${ }_{2 \times 1 \times}$ | 20.597 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |


| coor. of CR <br> x coor. of CM <br> $y$ coor. of CM <br> eccentricity $x+5 \%$ accidental torsion <br> Along $X X$ Along $Y Y$ | - | 4125 |
| :---: | :---: | :---: |
|  | \% | $\underset{\substack{5925 \\ 4125}}{\substack{\text { ate }}}$ |
|  | vm | 5925 |
|  |  |  |
|  | ( Mx(kNMm) |  |


| wall | 1 | 2 | 3 |  | 5 |  | 7 | 8 | 9 | 10 |  |  |  |  |  |  |  | 18 | 19 | A | 8 | $c$ | $\bigcirc$ | $\varepsilon$ | F | 6 | Toas |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| ${ }_{\text {in }}^{\text {in }}$ | ${ }^{3975}$ | 4050 | 405 | 4050 | ${ }^{4050}$ | ${ }^{3975}$ | ${ }_{1} 150$ | 0 | ${ }^{2025}$ | 3975 | e0so | 4050 | ${ }^{1050}$ | 1050 | ${ }^{3975}$ | 2025 | 2025 | ${ }^{1950}$ |  | 4500 | 4500 | ${ }^{1350}$ | 。 | 1500 | 4500 | ${ }^{500}$ |  |
| ${ }_{\text {and }}$ | ${ }^{1580625}$ | 16902500 | 1690250 | 16602500 | 1602350 | 1580062 | ${ }^{308500}$ | 0 | 410025 | ${ }_{1580065}$ | 16602500 | 16602500 | 16602500 | 16502500 | ${ }_{15800625}$ | 410062 | 4100625 | 330250 | 330550 |  |  |  |  |  |  |  |  |
| ${ }_{\text {m2 }}{ }^{2} \times$ Kx | 140700999.7 | ${ }^{224883898.1}$ | 12992801.4 | 129298801.4 | ${ }^{224883881.1}$ | 0500 | 7233515408 | 0 | 332 | 1400009997 | ${ }^{224888881.1}$ | ${ }^{129928801.4}$ | 129928801.4 | ${ }^{224883981.1}$ | 2997 | 483332 | 3332 | 9821821 | 21821 | ${ }^{20535000}$ | ${ }_{123555800}^{2029}$ | 182550 | 0 | 225000 | 203500 | 2035000 |  |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  | 1353589, | 135358, |  |  |  |  |  | ${ }^{3237353502}$ |




Additional Axial Force from Overturning Moment

| Additional Axial Force from Overturning Moment |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\frac{\text { Weal }}{\text { Lemm }}$ | ¢ | ${ }_{\substack{\text { 200 }}}^{\substack{12000 \\ 1020}}$ | ${ }_{\substack{3 \\ \\ \hline 1500}}$ |  | ¢ | － | $\stackrel{7}{\frac{1200}{2000}}$ |  | ${ }_{\substack{1200 \\ 27000}}^{\substack{\text { 20，}}}$ | （tion | （120 | $\substack { \text { I20 } \\ \begin{subarray}{c}{1550{ \text { I20 } \\ \begin{subarray} { c } { 1 5 5 0 } } \end{subarray}$ | （130 |  | （istion | $\xrightarrow[\substack{16 \\ \hline 2000}]{\text { 12000 }}$ |  | （ $\begin{gathered}\text { 180 } \\ \text { 12000 } \\ 12000\end{gathered}$ | （1900 | S000 |  |  | （10050 | ¢ |  |  |  |
|  |  |  |  |  |  |  |  |  |  |  | ${ }_{\substack{\text { I2000 } \\ 2.16510}}$ |  |  |  |  | ${ }_{\substack{\text { 22000 } \\ 535510}}^{\text {20，}}$ |  |  |  |  |  |  |  |  |  |  |  |
| $\underline{\nu i(m)}$ | ${ }^{225}$ | 2000 |  |  |  | ${ }^{11625}$ |  |  |  |  |  |  |  |  |  |  |  |  |  |  | ${ }_{\text {911250000 }}^{1215}$ | ${ }_{\text {2，45F＋1 }}^{455}$ |  | ${ }_{\text {7，4LSE＋}}^{1725}$ | ${ }_{\text {9．136 }}^{1023}$ | ${ }^{1136}$ |  |
| ${ }_{\text {ximm }}^{\text {dimm）}}$ | ${ }_{\text {¢ }}^{\substack{\text { 1500 } \\ 500}}$ | ${ }_{355}^{75}$ | ${ }_{1350}^{735}$ | ${ }_{1750}^{735}$ | ${ }_{3525}^{75}$ | ${ }_{\substack{\text { 1500 } \\ 5000}}$ | ${ }_{5}^{2125} 5$ | ${ }_{\text {4125 }}$ | ¢， |  | ${ }_{\substack{8175 \\ 325}}^{\text {825 }}$ | $\underbrace{\text { ces }}_{\substack{8175 \\ 1.350}}$ |  | ${ }_{\substack{8175 \\ 3255}}^{\text {S25 }}$ |  | ${ }_{\substack{200 \\ 5400}}^{20}$ |  | $\stackrel{2175}{0}$ | ${ }_{6}^{6075}$ |  | ${ }_{5025}$ | ${ }^{4125}$ | ${ }_{4}^{425}$ | ${ }^{4125}$ | ${ }^{2623}$ | 5625 |  |
| $\mathrm{A}^{*} \mathrm{tan}^{\text {a }}$（mm44） | $4.38615+12$ | $2236616+12$ | 2000 | 205 | $2236611+12$ | ${ }^{4.3882+12}$ | ${ }_{18832+12}$ | 0 | ${ }_{78,832+12}$ | 4.366 | ${ }^{2336}$ | ${ }^{2050531+11}$ | $2.50314+1$ | 22366 | 86154］ | ${ }_{\text {188322＋12 }}$ | ${ }_{78,8332+12}$ | 。 | $\bigcirc$ | ${ }^{1500}$ | ${ }^{1500}$ | $\bigcirc$ | 0 | 0 | ${ }^{1500}$ | 1500 |  |
| ${ }_{\text {lita }}$ | ${ }^{4.398+12}$ | ${ }^{2266+12}$ | $2.106+1$ | $2.106+11$ | $2266+11$ | $4386+1$ | $2.985+1$ | $3.188+1$ | ${ }^{2,98 t+12}$ | 4.396 | $2266+12$ | ${ }^{20106+11}$ | $2100+11$ | $2268+12$ | $4.389+1{ }^{\text {a }}$ | 7．989＋1］ | ${ }_{7}, 98 \mathrm{~s}+12$ | $2.66+10$ | $2.164+1$ | 0335 | 3035 |  |  | 0 | 3．08841 | 3088411 | 106t |
| Pov（kN） | 4.58 | ${ }^{3,73}$ | 0.89 | 0.89 | ${ }_{3,73}$ | 453 | 8.58 | 0.00 | 8.58 | $4{ }^{45}$ | ${ }^{3,73}$ | 0.89 | 0.89 | ${ }^{3,73}$ | 4.53 | ${ }_{8.58}$ | ${ }^{8.58}$ | 0.00 | 0.00 | 仿 | ${ }_{7}$ | 0.00 | ${ }_{0}$ | ${ }_{0} 0.00$ | 7.03 | ${ }^{2} 03$ |  |

## Determination of Gravity Loads

|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  | ${ }_{1.20+E+\text { S．Str }}$ |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| wall | Triblett（mm） | Trib Reint（mm） | Roof toed（oad（tea） | Roof（lve（load（hara） |  |  | $\frac{\mathrm{EkNV}}{178}$ | ${ }_{\text {Por（k）}}^{4}$ | ${ }^{\text {Lenent }}$（mm） | ${ }_{\text {Heehit（mm）}}^{\text {200 }}$ |  | Moment（NWM） |  | Moment（k）－M） |  | ${ }^{\text {Moment（t）－M）}}$ |  | Moment（NWM） |
| ${ }^{2}$ | ${ }_{\substack{900 \\ 900}}$ | ${ }_{\substack{1050 \\ 1950}}$ | ${ }^{\text {O．31 }}$ | ${ }_{0}^{0.6}$ | ${ }^{0.88}$ | ${ }_{1.71}^{1.7}$ | ${ }_{27}^{27}$ | ${ }^{\text {3，3／3 }}$ | ${ }^{1200}$ | 2200 | ${ }_{1}^{1.48}$ |  |  |  |  | ${ }_{6,10}^{6}$ |  | ${ }^{\frac{3920}{6.10}}$ |
|  | ${ }^{900}$ | ${ }^{1050}$ | ${ }_{0}^{0.31}$ | ${ }_{0}^{0.6}$ | 0.60 | ${ }^{117}$ | ${ }_{1}^{154}$ | ${ }_{0}^{0.89}$ | ${ }^{750}$ | 2200 | 0.63 |  | ${ }_{1} 195$ |  | ${ }^{196}$ | ${ }_{3}^{3} 3$ | ${ }_{0}^{0.57}$ |  |
| ${ }_{5}$ | ${ }_{\substack{900 \\ 900}}$ | ${ }_{1000}^{1090}$ | ${ }_{0}^{0.31}$ | ${ }_{0.6}^{0.6}$ | －0．08 | ${ }_{1}^{1,71}$ | ${ }_{227}^{127}$ |  | ${ }_{\substack{700 \\ 1200}}$ | ${ }_{2200}^{2200}$ |  | 。 | ¢， | 。 |  | ${ }^{33.9} 6$ |  | ${ }_{6}^{3.9} 6$ |
| ${ }_{7}$ | ${ }_{\substack{900 \\ 975}}$ | ${ }_{\substack{1050 \\ 900}}$ | ${ }_{0}^{0.31}$ | 0.6 | ${ }_{\substack{0.68 \\ 0.58}}^{\text {O．}}$ | ${ }_{\text {L17 }}^{1.13}$ | （1788 |  | ${ }_{\substack{\text { cin } \\ 1200}}$ | ${ }_{2}^{2200}$ | ${ }_{0} .98$ | ！ |  | $\bigcirc$ | （isis |  | （ince | $\underbrace{}_{\substack{3,02 \\ 704}}$ |
| ${ }_{8}$ | ${ }_{1} 1950$ | 1950 |  | 0.6 | 1.21 |  | 18831 |  |  | 2800 |  |  |  | － | 38，94 | 51605 |  |  |
| ${ }_{10}$ |  | ${ }_{\text {cos }}$ | ${ }_{0}^{0.31}$ | 0.6 <br> 0.6 | ${ }_{\substack{0.58 \\ 0.05}}^{\text {0．0 }}$ | －${ }_{\text {1．13 }}^{1.17}$ |  | ${ }_{\text {¢ }}^{4.53}$ |  |  | ${ }_{\text {O．}}^{0.98} \mathrm{0.51}$ |  | 走．00 |  |  | ${ }_{\substack{1.38 \\ 3,2}}$ | （108 | ， 1.13 |
| 11 | 900 | 1950 | 0.31 | 0.6 | ${ }_{0}^{0.88}$ | ${ }^{1.71}$ | 277 | ${ }^{3,7}$ | ${ }_{1200}^{200}$ | 2200 | ${ }_{1}^{1.48}$ | 。 | ${ }_{4.56}$ | 。 | ${ }_{6}^{623}$ | 6.10 | 298 | 6.10 |
| ${ }_{13}^{12}$ | 寺 | 100 <br> 1000 <br> 1 | ${ }_{0}^{0.31}$ | 0.6 <br> 0.6 | O．60 <br> 0.00 | ${ }^{1.17}$ |  | 0.89 <br> 0.89 | ¢ | 隹 2200 | ． 0.63 | $\bigcirc$ | 1．95 <br> ${ }_{1.95}$ | $\bigcirc$ | ${ }^{1.196}$ | ${ }_{\substack{3.39 \\ 3.39}}$ |  |  |
|  |  | （1050 | ${ }_{\text {O．}}^{0.31}$ | ${ }_{\substack{0.6 \\ 0.6}}^{0 .}$ | ${ }_{\text {cose }}^{0.088}$ | ${ }^{\frac{1717}{17}}$ | $\xrightarrow{\frac{277}{128}}$ | ${ }^{\frac{3,73}{4}}$ |  | 2200 |  |  |  |  |  | ${ }_{\text {6，} 610}$ |  | 6.0 |
| 16 | ${ }_{975}$ | 900 | ${ }_{0}^{0.31}$ | 0.6 | 0.58 | ${ }^{1.13}$ | ${ }_{285}$ | ${ }_{8.58}$ | ${ }^{1200}$ | ${ }_{250}$ | ${ }_{0}^{0.98}$ | 0 | ${ }_{\substack{4.36 \\ 3.00}}$ | 。 | ${ }^{1022}$ | ${ }_{7,13}$ | ${ }_{8.88}$ | ${ }_{7,13}$ |
|  |  |  |  |  | O．58 |  |  |  | ${ }_{\text {cke }}^{\substack{1200 \\ 1200}}$ |  | ${ }_{0}^{0,9}$ |  |  |  |  |  |  |  |
|  | ${ }_{975}$ | ${ }_{900}^{900}$ | ${ }_{0.31}$ | ${ }_{0.6}^{0.6}$ | ${ }_{\text {cose }}^{0.58}$ | ${ }_{1.13}^{1.3}$ |  | 0．00 | ${ }_{1200}^{1200}$ | ${ }_{250}$ | ${ }_{0.98}$ |  | 3．00 |  | ${ }_{1}^{1.55}$ | ${ }_{428}^{428}$ | ${ }_{0}^{0.49}$ | 4．28 <br> 4.28 |
| ${ }_{\text {A }}$ | 。 | $\bigcirc$ | ${ }_{0}^{0.31}$ | ${ }^{16}$ | （0．00 | 0.00 0.00 | $\underset{\text { 229 }}{24}$ | 年，${ }_{7}$ | ¢000 | ${ }_{\substack{2650 \\ 2650}}^{\substack{250}}$ | －0．00 | $\bigcirc$ | O．00 <br> 0.00 <br> 0.0 |  | 7,03 <br> 7 | 就600 | － | 6．6．60 |
|  | $\bigcirc$ |  | ${ }^{0.31}$ | ${ }_{36}^{36}$ | ${ }_{0}^{0.00}$ | 0.00 | ${ }_{\text {L }}^{1.850}$ | ${ }^{0.00}$ | 3000 | ${ }_{2250}$ | 0.00 | 0 | 0．00 | ${ }^{3}$ | 0.00 | ${ }_{4.452}^{4}$ | 0.00 | 4.45 |
| E | 0 | 0 | ${ }_{0}^{0.31}$ | ${ }_{5.6}^{4.6}$ | 0.00 <br> 0.00 | －0．00 | ${ }_{\text {L1724 }}^{1724}$ | ＋000 | （1000 | ¢ | $\stackrel{0.00}{0.00}$ | $\stackrel{0}{\circ}$ | －000 | ${ }_{5}^{4}$ | －000 | ${ }_{\text {a }}^{6.59}$ | ＋000 | ${ }_{4}^{48.59}$ |
| $\frac{\mathrm{f}}{6}$ | $\bigcirc$ | $\bigcirc$ | ${ }_{\text {O．}}^{0.31}$ 0．31 | ${ }_{6}^{6.6}$ | $\stackrel{0.00}{\text { 0．00 }}$ | $\xrightarrow{0.00}$ | $\stackrel{249}{299}$ | $\xrightarrow{\frac{703}{7,3}}$ | －900 | 约 | （0．00 | $\bigcirc$ | － |  | $\xrightarrow{\frac{7}{10,3}}$ | $\frac{6.60}{6.60}$ | $\underset{\substack{703 \\ 7.03}}{\substack{\text { c，}}}$ | ${ }_{\text {6 }}^{6.60}$ |

## Shear Design

| General Parameters |  |
| :---: | :---: |
| $\mathrm{fm}_{\text {m }} \mathrm{M} \mathrm{P}$ ) ${ }^{\text {a }}$ | ${ }^{3}$ |
|  | 10 |
| As $\left(\mathrm{mm}^{2}\right)$ | 78.54 |
| $\mathrm{Av}\left(\mathrm{mm}^{2}\right)$ | 78.54 |
| fr (MPa) | 206 |
| Grout | Partally routed |
| ${ }_{\text {¢ }}^{\text {Sifereart }}$ | ${ }_{1.1}^{0.15}$ |
| $\phi$ (fiexre) | 0.9 |



## Design of Diaphragm and Wall Anchors ACI 318-08 D. 6



| Tension Breakout Parameters |  |  |  |
| :---: | :---: | :---: | :---: |
| rame | value | English Units ( ine $^{2}$ ) | Acrefer |
| $\psi_{\text {ex }}$ | 1 |  | 0.5.2.4 |
| $\psi_{\text {ase }}$ | 0.75 |  | 0.5 .25 |
| $\psi_{\text {csen }}$ | 1 |  | 0.5 .2 .6 |
| $\psi_{\text {¢ }}$ | 1 |  | 0.5.2.7 |
|  | 42500 | 72.38 | 0.5.2.1 |
| Anco (mm) | 81000 | 1255.50 | 0.5.2.1 |

\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|c|}
\hline \& \& \& bimm \& Steel \& \& \& \& \& 隹 \& \& \& \& \& \& Tension \&  \& \& \& \& \& atent \& \\
\hline \({ }_{1}\) \& 1.78 \& \({ }_{3}\) \& \({ }_{\text {barol }}^{10}\) \&  \&  \& \(\frac{\text { check }}{\text { OK }}\) \&  \&  \&  \& \({ }_{\text {cheok }}^{\text {OK }}\) \& \({ }_{\text {F. }}^{\text {F. }}\) \& \({ }^{133783,29}\) \& \({ }_{\text {NCog (N) }}^{\text {S21030.19 }}\) \&  \& \({ }_{0}^{\text {L(m) }}\) \& \(\frac{\mathrm{T}(1)}{653641}\) \& \({ }_{\text {¢ }}^{288927.17}\) \& Creck \& \({ }_{4}^{44.20}\) \& \(\frac{\text { lah }(\mathrm{tf)}}{0.24}\) \&  \& \(\frac{\operatorname{lah}(\text { mm) }}{74.05}\) \\
\hline \& 2.77 \& 3 \& 10 \& 0.39 \& 6966.09 \& ok \& \({ }_{33165.35}\) \& 79596.84 \& \({ }^{28874.01}\) \& ok \& 9.0 \& \({ }_{733783,29}\) \& \& \({ }_{6096.63}\) \& 1.2 \& 5080.52 \& \({ }^{288827.17}\) \& ok \& 56.87 \& \({ }_{0}^{0.24}\) \& 2.92 \& \\
\hline \& 1.54 \& 2 \& 10 \& 0.39 \& 46110.73 \& ок \& \({ }^{22110.23}\) \& \({ }_{50364.56}\) \& \({ }_{16582.67}\) \& ok \& 10.8 \& 4889888.86 \& \({ }^{214020.13}\) \& \({ }_{386,79}\) \& 0.75 \& \({ }_{4515.72}\) \& \({ }_{129618.11}\) \& ok \& \({ }_{4} 2.66\) \& 0.24 \& 2.92 \& \\
\hline \({ }_{4}^{4}\) \& 1.54 \& 2 \& \({ }_{10}^{10}\) \& 0.39
0.39 \& \({ }_{\text {46110.73 }}\) \& \(\stackrel{\text { ok }}{0 \times}\) \& \({ }_{\substack{2210.23 \\ 331535}}\) \& (5306466 \& \({ }_{\substack{1658267 \\ \hline 288701}}\) \& ok \& \begin{tabular}{l}
10.8 \\
0.0 \\
\hline 1
\end{tabular} \& \begin{tabular}{c}
489188866 \\
\hline 7378329
\end{tabular} \& \({ }_{\text {214020.13 }}\) \& \({ }_{\substack{3386.79 \\ 60963}}\) \& \({ }^{0.75}\) \& ( \& \({ }_{\text {1202681.11 }}^{18}\) \& ok \& \(\frac{42.66}{5687}\) \& \begin{tabular}{l}
0.24 \\
0.024 \\
0.02 \\
\hline
\end{tabular} \& \begin{tabular}{l}
2.92 \\
292 \\
\hline 2
\end{tabular} \& \begin{tabular}{|c}
7405 \\
\hline 705 \\
\hline 105 \\
\hline
\end{tabular} \\
\hline \(\frac{5}{6}\) \& \({ }_{1}^{2.778}\) \& \({ }_{3}^{3}\) \& \(\frac{10}{10}\) \& 0.399 \& \({ }_{69916.6 .09}^{69}\) \& \({ }_{\text {ok }}^{0 \times}\) \& \({ }_{\substack{3316535 \\ 336535}}^{\substack{\text { a }}}\) \& \(\xrightarrow{7959568}{ }_{7956.84}\) \& \({ }_{\text {2 }}^{288874.01}\) \& ok \& \({ }_{19.0}^{14.0}\) \&  \&  \&  \& \(\frac{1.2}{0.6}\) \& \({ }_{\text {508.52 }}^{6536.41}\) \& \({ }_{\text {288827.17 }}^{28897.17}\) \& or \({ }_{\text {or }}\) \& \({ }_{46.87}^{44.20}\) \& \begin{tabular}{l}
0.24 \\
0.24 \\
0.02 \\
\hline
\end{tabular} \& \({ }_{2.92}^{2.29}\) \& \begin{tabular}{l} 
74,05 \\
\hline 7.05 \\
\hline
\end{tabular} \\
\hline 7 \& 2.81 \& \({ }^{3}\) \& 10 \& 0.39 \& 69166.09 \& ок \& \({ }^{33165.35}\) \& \({ }^{79596.84}\) \& \({ }^{28874.01}\) \& ок \& 8.8 \& \({ }^{733783,29}\) \& 321033.19 \& \({ }^{7036,35}\) \& 1.2 \& \({ }_{568,62}\) \& \({ }^{288927.17}\) \& ок \& 49.27 \& 0.24 \& 2.92 \& \\
\hline \({ }_{9}^{8}\) \& \begin{tabular}{l}
184.31 \\
\hline 2.85 \\
\hline 1
\end{tabular} \& \({ }^{31}\) \& \({ }_{10}^{10}\) \& \({ }_{0}^{0.39} 0\) \& 717416.26 \& \({ }_{\text {Ok }}^{0 \times}\) \& \({ }_{\substack{3427888.61 \\ 331535}}^{3}\) \&  \& \({ }^{258731.46}\) \& ok \& \({ }_{8.7}^{1.4}\) \& 7882427.37
733783.29 \& \({ }_{\text {3331711.98 }}^{\substack{321030.19}}\) \&  \& \({ }_{1.2}^{13.65}\) \& (380620.20 \& \(\xrightarrow{29858897.78}{ }_{2}^{2897.17}\) \& \({ }_{\text {OK }}^{\text {OK }}\) \& \({ }_{48,64}^{78.97}\) \& \begin{tabular}{l}
0.24 \\
0.24 \\
0.02 \\
\hline
\end{tabular} \& \(\begin{array}{r}2.92 \\ 2.92 \\ \hline\end{array}\) \& \begin{tabular}{|c} 
74,05 \\
\hline 7.05 \\
\hline
\end{tabular} \\
\hline 10 \& 1.78 \& \& 10 \& \& 6916.09 \& ок \& \& 7959.84 \& 28874.01 \& ок \& 14.0 \& \({ }_{737388.29}\) \& 321030.19 \& \({ }_{3}^{3921.84}\) \& 0.6 \& \({ }^{653681}\) \& \({ }_{2}^{288927.17}\) \& ok \& 44.20 \& \({ }_{0}^{0.24}\) \& 292 \& \({ }_{7} 7.05\) \\
\hline \({ }_{12}^{12}\) \& \({ }_{1.54}^{2.75}\) \& \(\stackrel{3}{2}\) \& \({ }_{10}^{10}\) \& 0.399 \& 6916.09 \& ok \&  \& \begin{tabular}{c} 
79959.84 \\
5306456 \\
\hline
\end{tabular} \&  \& \(\stackrel{\text { ok }}{0}\) \& 9.0 \& \({ }_{\substack{733783,29 \\ 4898888}}\) \& \({ }_{\text {321030.19 }}^{\text {214020.13 }}\) \&  \& \(\frac{1.2}{0.75}\) \& \({ }_{\substack{\text { 5080.52 } \\ 451572}}\) \& 28827.17
102618.11 \& ok \& \({ }_{42,86}^{56.85}\) \& \begin{tabular}{l} 
0.24 \\
0.24 \\
0.02 \\
\hline
\end{tabular} \& \begin{tabular}{|l}
2.92 \\
292 \\
\end{tabular} \& \(\stackrel{\text { 74.05 }}{74.05}\) \\
\hline \({ }_{1}^{13}\) \& \({ }_{1}^{1.54}\) \& 2 \& 10 \& 0.39 \& 46110.73 \& ок \& \({ }^{22110.23}\) \& 53064.56 \& \({ }^{1658267}\) \& ок \& 10.8 \& \({ }^{489188,86}\) \& 214020.13 \& \({ }^{3386,79}\) \& 0.75 \& \({ }^{4515.72}\) \& \({ }^{122618.11}\) \& ок \& \({ }^{42.66}\) \& \({ }^{0.24}\) \& 2.92 \& \\
\hline \({ }_{14}^{14}\) \& 2.7 \& \({ }^{3}\) \& 10 \& 0.39 \& 6916.09 \& ок \& \({ }_{33165.35}\) \& 79596.84 \& 28874.01 \& ок \& 9.0 \& \({ }^{733783,29}\) \& \({ }^{321030.19}\) \& \({ }_{6096.63}\) \& 1.2 \& 5088.52 \& 288927.17 \& ок \& 56.87 \& 0.24 \& 2.92 \& 74.05 \\
\hline \begin{tabular}{|c}
15 \\
\hline 16 \\
\hline 18
\end{tabular} \& \begin{tabular}{l}
1.78 \\
\hline 285 \\
\hline 28
\end{tabular} \& 3 \& \({ }_{10}^{10}\) \& - 0.39 \& 6916.699 \& \({ }_{\text {ok }}^{\text {ok }}\) \&  \& ¢ 7 T959.64 \& \({ }_{\text {2 }}^{2 \text { 28874.01 }}\) \& \% \({ }_{\text {ok }}^{0 \times}\) \& \({ }_{14.0}^{87}\) \& \begin{tabular}{l}
73378329 \\
\hline 7378329
\end{tabular} \& - \(\begin{aligned} \& 321030.19 \\ \& 32103019\end{aligned}\) \& \begin{tabular}{l}
3921.84 \\
\hline 712826 \\
\hline 1
\end{tabular} \& - \({ }^{0.6}\) \& (6536.41 \& \({ }_{\text {288827.17 }}^{2889717}\) \& ok \& \begin{tabular}{l}
44.20 \\
4864 \\
\hline
\end{tabular} \& \begin{tabular}{l}
0.24 \\
0.024 \\
\hline 0. \\
\hline
\end{tabular} \& 2.292 \& - 74.05 \\
\hline 17 \& 2.85 \& 3 \& 10 \& 0.39 \& 6966.09 \& ok \& \& \({ }_{7} 9596.84\) \& \({ }^{28874.01}\) \& ok \& 8.7 \& \({ }_{737883,29}\) \& \& \({ }_{7128.26}\) \& 1.2 \& \({ }_{5} 5940.22\) \& 288827.17 \& ok \& 48.64 \& \({ }_{0}^{0.24}\) \& 2.92 \& \\
\hline \({ }^{18}\) \& 1.71 \& \({ }^{3}\) \& 10 \& \& 6916609 \& ок \& \({ }^{33165,35}\) \& \({ }_{7} 9959.84\) \& \({ }^{24874.01}\) \& ок \& 14.5 \& \({ }^{733783,29}\) \& 321030.19 \& \({ }^{4280,20}\) \& 1.2 \& \({ }^{3666.83}\) \& \({ }^{288927.17}\) \& ok \& 81.00 \& \({ }_{0}^{0.24}\) \& 2.92 \& \\
\hline 19 \& \({ }_{2.49}^{1.1}\) \& \({ }_{4}\) \& \({ }_{10}^{10}\) \& 0.39 \& \({ }^{6916509}\) \& \({ }^{\text {or }}\) \& \({ }_{\text {33165,35 }}^{4122047}\) \&  \&  \& \({ }_{0}^{\text {or }}\) \& \({ }_{1}^{13,5}\) \&  \& \({ }_{4}^{32120300.19}\) \& \({ }_{\text {428020 }}^{659}\) \& \({ }^{1.2}\) \&  \& \({ }_{\text {cke }}^{288827.17}\) \& or \& 81.00
556 \& 0.24
0.24

0 \& ${ }_{2}^{2.92}$ \& $\underset{\substack{74.05 \\ 74.05}}{ }$ <br>
\hline B \& 2.49 \& 4 \& 10 \& 0.39 \& 9221.45 \& ok \& 42420.47 \& 106129.12 \& ${ }^{33165,35}$ \& ок \& 13.3 \& 97837.73 \& 428804.25 \& 6997.05 \& 0.9 \& 7330.06 \& 385236.23 \& ок \& 52.56 \& 0.24 \& 2.92 \& ${ }_{74.05}$ <br>
\hline $\bigcirc$ \& ${ }_{1}^{16,85}$ \& ${ }_{23}^{10}$ \& ${ }_{10}$ \& 0.39 \& - \& $\stackrel{\text { Ok }}{\substack{\text { Ok }}}$ \& ${ }_{\substack{110551.17 \\ 25262688}}$ \& - ${ }_{\text {26332280 }}^{6102424}$ \&  \& ok \& ${ }_{1.1}^{4.9}$ \& \& ${ }_{\text {1070000.64 }}^{246123147}$ \& ${ }_{\text {a }}^{4358112129} 4$ \& ${ }_{13.9}^{10.05}$ \& ${ }_{\substack{114515,67 \\ 439414}}$ \&  \& ok \& $\substack{84.37 \\ 50.81}_{\substack{\text { a }}}$ \& 0.24
0.24
0.0 \& 2.92
2.92 \& <br>
\hline E \& 17.24 \& \% \& 10 \& 0.39 \& ${ }^{230553.33}$ \& ок \& ${ }_{110551.17}$ \& ${ }^{265322.80}$ \& ${ }_{82913,37}$ \& ok \& ${ }_{4}^{4.8}$ \& ${ }^{244594431}$ \& 1070100.64 \& ${ }_{4}^{4568923}$ \& 3.9 \& ${ }^{117151519}$ \& ${ }^{96300959}$ \& ok \& ${ }_{82,21}$ \& ${ }_{0}^{0.24}$ \& 2.92 \& 74.05 <br>
\hline \& 2.49

2.49 \& \& 10 \& ${ }_{0}^{0.39} 0$ \& $\xrightarrow{92221.45}{ }_{922145}$ \& $\stackrel{\text { ok }}{0 \times}$ \& ${ }_{4}^{42220.47}$ \&  \& ${ }_{\substack{33165.35 \\ 336535}}$ \& $\stackrel{\text { ok }}{\text { OK }}$ \& | 13.3 |
| :---: |
| 13.3 | \& 97837.73

978377.73 \&  \& $\underset{7000.00}{6}$ \& 0.9 \& \& ${ }_{\substack{\text { cis5336.23 } \\ 38526.23}}$ \& ок \& ${ }_{\text {42.56 }}{ }_{49}$ \& \& \& <br>
\hline
\end{tabular}

Out of Plane Wall Forces

| Wall | Unbraced Length L (mm) | T (mm) | H (mm) | Wp (kN) | Fp (between pilasters) (kN) | Pu (kN) | Mu (kN-m) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 450 | 150 | 2200 | 2.59 | 1.00 | 5.38 | 2.19 |
| 2 | 450 | 150 | 2200 | 2.59 | 1.00 | 6.23 | 2.19 |
| 3 | 300 | 150 | 2200 | 1.73 | 0.66 | 1.96 | 1.46 |
| 4 | 300 | 150 | 2200 | 1.73 | 0.66 | 1.96 | 1.46 |
| 5 | 450 | 150 | 2200 | 2.59 | 1.00 | 6.23 | 2.19 |
| 6 | 450 | 150 | 2200 | 2.59 | 1.00 | 5.38 | 2.19 |
| 7 | 1050 | 150 | 2500 | 6.88 | 2.64 | 10.22 | 6.60 |
| 8 | 1950 | 150 | 2800 | 14.31 | 5.49 | 38.94 | 15.38 |
| 9 | 1050 | 150 | 2500 | 6.88 | 2.64 | 10.22 | 6.60 |
| 10 | 450 | 150 | 2200 | 2.59 | 1.00 | 5.38 | 2.19 |
| 11 | 450 | 150 | 2200 | 2.59 | 1.00 | 6.23 | 2.19 |
| 12 | 300 | 150 | 2200 | 1.73 | 0.66 | 1.96 | 1.46 |
| 13 | 750 | 150 | 2200 | 4.32 | 1.66 | 1.96 | 3.65 |
| 14 | 450 | 150 | 2200 | 2.59 | 1.00 | 6.23 | 2.19 |
| 15 | 450 | 150 | 2200 | 2.59 | 1.00 | 5.38 | 2.19 |
| 16 | 1050 | 150 | 2500 | 6.88 | 2.64 | 10.22 | 6.60 |
| 17 | 1050 | 150 | 2500 | 6.88 | 2.64 | 10.22 | 6.60 |
| 18 | 450 | 150 | 2500 | 2.95 | 1.13 | 1.65 | 2.83 |
| 19 | 450 | 150 | 2500 | 2.95 | 1.13 | 1.65 | 2.83 |
| A | 750 | 150 | 2650 | 5.21 | 2.00 | 7.03 | 5.30 |
| B | 750 | 150 | 2650 | 5.21 | 2.00 | 7.03 | 5.30 |
| C | 750 | 150 | 2650 | 5.21 | 2.00 | 0.00 | 5.30 |
| D | 1950 | 150 | 2500 | 12.77 | 4.90 | 0.00 | 12.26 |
| E | 750 | 150 | 2650 | 5.21 | 2.00 | 0.00 | 5.30 |
| F | 750 | 150 | 2650 | 5.21 | 2.00 | 7.03 | 5.30 |
| G | 750 | 150 | 2650 | 5.21 | 2.00 | 7.03 | 5.30 |

Flexible Diaphragm Analysis



## Determination of Gravity Loads (Flexible Diaphragm)



## Shear Design (Flexible Diaphragm)



| Wall | L(mm) | T(mm) | Ag (mm²) | Flexural Bars | An (mm²) | dv (mm) | Mu (kN-mm) | Vu(kN) | Pu(N) | Vert. Spacing (mm) | Vnlces (N) | $\mathrm{vs}_{\text {( }}$ ) | $\phi_{\text {VV }}^{(k N)}$ | $\phi{ }^{\text {V }} \sim \mathrm{V}_{u}$ | F.S. |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 600 | 150 | 135000 |  | 134764.38 | 525 | 573.06 | 3.98 | 10410.98 | 600 | 0.00 | 7078.40 | 5.31 | ок | 1.33 |
| 2 | 1200 | 150 | 180000 | 3 | 179764.38 | 1125 | 11466.13 | 7.96 | ${ }^{12056.90}$ | 600 | 9699.57 | ${ }^{15168.00}$ | 18.65 | ok | 2.34 |
| 3 | 750 750 | 150 150 150 | ${ }_{112500}^{112500}$ | 2 | 112342.92 <br> ${ }_{1234292}$ | 675 <br> 675 <br> 6 | ${ }_{7}^{7166.33}$ | 4.98 4.98 | 10624.95 10624.95 | 600 600 | 1392.60 1392.60 | 9100.80 9900.80 | 7.87 7.87 | Ok | 1.58 <br> 1.58 <br> 1 |
| 5 | 1200 | 150 | 180000 | 3 | 179764.38 | 1125 | 11466.13 | 7.96 | 12056.90 | 600 | 9699.57 | 15168.00 | 18.65 | ok | 2.34 |
| ${ }^{6}$ | 600 1200 | 150 <br> 150 | 135000 18000 | 3 |  | 525 | $\begin{array}{r}573.06 \\ 37895 \\ \hline\end{array}$ | 3.98 .232 | 10410.98 | 600 | 0.00 | 7078.40 | ${ }_{5}^{5.31}$ | ok | 1.33 <br> 1.31 |
| 8 | ${ }_{1}^{1300}$ | ${ }_{1}^{150} 1$ | ${ }_{1}^{180000}$ | ${ }_{31}$ | ${ }_{\text {2045065.27 }}^{17974.38}$ | 300 <br> 1355 | 3789.54 | ${ }_{\text {L }}^{2.32}$ | ${ }_{6830387} 63.5$ | 600 600 | ${ }^{0.000} 20470.22$ | 4044.80 18302722 | ${ }_{\text {30, }}^{3.03}$ | Ok | 1.31 1.69 |
| 9 | 1200 | 150 | 180000 | 3 | 179764.38 | 300 | 3789.54 | 2.32 | 4803.87 | 600 | 0.00 | 4044.80 | ${ }^{30} .03$ | ok | ${ }_{1}^{1.31}$ |
| 10 | 600 | 150 | 135000 | 3 | 134774.38 | 525 | ${ }^{5733.06}$ | 3.98 | 10410.98 | 600 | 0.00 | 7078.40 | 5.31 | ок | 1.33 |
| ${ }_{11}^{11}$ | 1200 750 | 150 <br> 150 | $\frac{180000}{112500}$ | $\frac{3}{2}$ | 179764.38 <br> 1123429 | $\frac{1125}{675}$ | 11466.13 <br> 1763 | 7.96 4.98 | $\frac{12056.90}{1062995}$ | 600 600 | 9699.57 139260 | 15168.00 910080 | 18.65 <br> 787 | $\stackrel{\text { OK }}{\text { Ok }}$ | 2.34 <br> 158 <br> 1 |
| ${ }_{13}$ | 750 | 150 | 112500 | 2 | 112342.92 | 675 | ${ }_{7166.33}$ | 4.98 | 10622.95 | 600 | ${ }^{13922.60}$ | 9100.80 | 7.87 | ок | 1.58 |
| 14 | 1200 | ${ }^{150}$ | 180000 | 3 | 179764.38 | 1125 | 11466.13 | 7.96 | ${ }^{12056.90}$ | 600 | 9699.57 | 15168.00 | 18.65 | ок | 2.34 |
| 15 | 600 | 150 | 135000 | 3 | 134764.38 | 525 | 5733.06 | 3.98 | 10410.98 | 600 | 0.00 | 7078.40 | 5.31 | ok | ${ }_{1}^{1.33}$ |
| ${ }_{16}^{16}$ | 1200 <br> 1200 <br> 1 | 150 150 | ${ }_{180000}^{18000}$ | ${ }_{3}$ | 179794.38 17976438 | 300 300 | 3789.54 378954 | $\stackrel{2.32}{232}$ | 4803.87 480887 | 600 600 | 0.00 0.00 | 4044.80 <br> 00480 | $\begin{array}{r}3.03 \\ 3.03 \\ \hline\end{array}$ | $\stackrel{\text { ok }}{0 \times}$ | 1.31 <br> 1.31 <br> 1 |
| 18 | 1200 | 150 | 180000 | 3 | 179764.38 | 1125 | 0.00 | 0.00 | 16459.92 | 600 | N/A | N/A | N/A | N/A | N/A |
| 19 | 1200 | ${ }^{150}$ | 180000 | 3 | 179764.38 | 1125 | 0.00 | 0.00 | 1645.92 | 600 | N/A | N/A | N/A | N/A |  |
| ${ }_{\text {A }}^{\text {B }}$ | 900 900 | 150 <br> 150 | ${ }_{135000}^{135000}$ | 4 | 134685.84 134685.84 | 825 <br> 825 | $\frac{10920.97}{10920.97}$ | 6.30 6.30 | ${ }_{\text {1213434 }}^{12134.41}$ | 600 600 | ${ }_{\text {13484.88 }}^{1888.48}$ | 11123.20 11123.20 | 9.73 9.73 | ok | 1.55 <br> 1.55 |
| ${ }_{c}$ | 3900 | ${ }_{150}$ | ${ }_{585000}^{1000}$ | 10 | ${ }_{5842124.60}$ | ${ }_{3825}$ | 473342.21 | $\stackrel{\text { 27.28 }}{ }$ | 12134.41 | 600 |  | ${ }_{515751.21}^{121}$ | ${ }_{79} 7.53$ | ${ }_{0}$ | ${ }_{2} .91$ |
| D | 10050 | 150 | 1507500 | ${ }^{23}$ | 1505693.58 | 9975 | 63474.74 | 38.79 | 6315.89 | 600 | 161054.61 | ${ }^{134489.62}$ | 221.66 | ок | 5.71 |
| $\stackrel{\varepsilon}{\text { F }}$ | 3900 990 | 150 150 | 585000 135000 | 10 | 58424.60 1386585 | 3825 825 |  |  | ${ }_{1212344.41}^{12124}$ | ${ }_{600}^{600}$ | 54466.07 1888.48 | 5157.21 11123.20 | ${ }_{9.73}^{79.53}$ | Ok | ${ }_{1.55}^{2.91}$ |
|  |  | 150 | ${ }_{1}^{135000}$ | 4 | 134685.84 | ${ }_{825}$ | 10920.97 | 6.30 | ${ }_{12134,41}$ | 600 | ${ }_{1848.48}$ | ${ }^{11123.20}$ | 9.73 | 0к |  |

## Design of Diaphragm and Wall Anchors ACI 318-08 D. 6 (Flexible Diaphragm)




Design Summary (for Rigid and Flexible Diaphragms)

| Wall | Horizontal Steel Dia (mm) | Spacing (mm) | Vertical Steel Dia (mm) | \# of bars (evenly spaced) |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 10 | 600 | 10 | 3 |
| 2 | 10 | 600 | 10 | 3 |
| 3 | 10 | 600 | 10 | 2 |
| 4 | 10 | 600 | 10 | 2 |
| 5 | 10 | 600 | 10 | 3 |
| 6 | 10 | 600 | 10 | 3 |
| 7 | 10 | 600 | 10 | 3 |
| 8 | 10 | 600 | 10 | 31 |
| 9 | 10 | 600 | 10 | 3 |
| 10 | 10 | 600 | 10 | 3 |
| 11 | 10 | 600 | 10 | 3 |
| 12 | 10 | 600 | 10 | 2 |
| 13 | 10 | 600 | 10 | 2 |
| 14 | 10 | 600 | 10 | 3 |
| 15 | 10 | 600 | 10 | 3 |
| 16 | 10 | 600 | 10 | 3 |
| 17 | 10 | 600 | 10 | 3 |
| 18 | 10 | 600 | 10 | 3 |
| 19 | 10 | 600 | 10 | 3 |
| A | 10 | 600 | 10 | 4 |
| B | 10 | 400 | 10 | 4 |
| C | 10 | 600 | 10 | 3 |
| E | 10 | 600 | 10 | 3 |
| F | 10 |  |  | 3 |
| G | 10 |  |  | 10 |

For use only in an academic or research setting.
Material Name: ICEB
Material Type: User Defined
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inn
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Input Parameters:

| Ultimate Compresive Strain: | 2.50 |
| :--- | ---: |
| Compression Yield Strain: | 2.00 |
| Tensile Yield Strain: | 1.00 |
| Ultimate Tensile Strain: | 1. |
| Additional Information: | 'S |
| Material Color States: |  |

Yield
Stress Strain Points:

| Strain | Stress (MP |
| :---: | :---: |
| 0 | 0 |
| $1.000 \mathrm{E}-3$ | .4792 |
| $2.000 \mathrm{E}-3$ | .9167 |
| $3.000 \mathrm{E}-3$ | 1.313 |
| $4.000 \mathrm{E}-3$ | 1.667 |
| $5.000 \mathrm{E}-3$ | 1.979 |
| $6.000 \mathrm{E}-3$ | 2.250 |
| $7.000 \mathrm{E}-3$ | 2.479 |
| $8.000 \mathrm{E}-3$ | 2.667 |
| $9.000 \mathrm{E}-3$ | 2.813 |
| $10.00 \mathrm{E}-3$ | 2.917 |
| $11.00 \mathrm{E}-3$ | 2.979 |
| $12.00 \mathrm{E}-3$ | 3.000 |

For use only in an academic or research setting.

Material Name: Grade 30
Material Type: Strain Hardening Steel
inn
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## Input Parameters:

| Yield Stress: | 206.0 MPa |
| :--- | :--- |
| Fracture Stress: | 482.6 MPa |
| Yield Strain: | $1.031 \mathrm{E}-3$ |
| Strain at Strain Hardening: | $5.000 \mathrm{E}-3$ |
| Failure Strain: | $50.00 \mathrm{E}-3$ |
| Elastic Modulus: | $199.9 \mathrm{E}+3 \mathrm{MPa}$ |
| Additional Information: | Symetric Tension and Comp. |

## Model Details:

For Strain $-\varepsilon<\varepsilon_{\mathrm{y}} \quad$ fs $=\mathrm{E} \cdot \varepsilon$
$\begin{array}{ll}\text { For Strain }-\varepsilon<\varepsilon_{\text {sh }} & f s=f_{y} \\ \text { For Strain }-\varepsilon<\varepsilon_{\text {su }} & f s=f_{U}-\left(f_{u}-f_{Y}\right) \cdot\left(\frac{\varepsilon_{s u}-\varepsilon}{\varepsilon_{s u}-\varepsilon_{s h}}\right)^{2}\end{array}$
$\varepsilon=$ Steel Strain
fs = SteelStress
$\mathrm{f}_{\mathrm{y}}=$ YieldStress
$\mathrm{f}_{\mathrm{u}}=$ Fracture Stress
$\varepsilon_{y}=$ Yield Strain
$\varepsilon_{\text {sh }}=$ Strain at Strain Hardening
$\varepsilon_{\text {su }}=$ Failure Strain
$\mathrm{E}=$ Elastic Modulus

## Material Color States:

Tension force after onset of strain hardeningTension force after yieldInitial stateCompression force after yield
Compression force after onset of strain hardening


For use only in an academic or research setting.

Material Name: Concrete
Material Type: Unconfined Concrete
inn
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## Input Parameters:

| Tension Strength: | 0 MPa |
| :--- | :--- |
| 28 Day Strength: | 21.00 MPa |
| Post Crushing Strength: | 0 MPa |
| Tension Strain Capacity: | 0 Ten |
| Spalling Strain: | $6.000 \mathrm{E}-3 \mathrm{Comp}$ |
| Failure Strain: | $4.000 \mathrm{E}-3 \mathrm{Comp}$ |
| Elastic Modulus: | $21.69 \mathrm{E}+3 \mathrm{MPa}$ |
| Secant Modulus: | 1523 MPa |

## Model Details:

| For Strain $-\varepsilon<2 \cdot \varepsilon_{\mathrm{t}}$ | $\mathrm{fc}=0$ |
| :--- | :--- |
| For Strain $-\varepsilon<0$ | $\mathrm{fc}=\varepsilon \cdot \mathrm{Ec}$ |
| For Strain $-\varepsilon<\varepsilon_{\mathrm{cu}}$ | $\mathrm{fc}=\frac{\mathrm{f}_{\mathrm{c}} \cdot \mathrm{x} \cdot \mathrm{r}}{\mathrm{r}-1+\mathrm{x}^{\mathrm{T}}}$ |
| For Strain $-\varepsilon<\varepsilon_{\mathrm{sp}}$ | $\mathrm{fc}=\mathrm{f}_{\mathrm{cu}}+\left(\mathrm{f}_{\mathrm{cp}}-\mathrm{f}_{\mathrm{cu}}\right) \cdot \frac{\left(\varepsilon-\varepsilon_{\mathrm{cu}}\right)}{\left(\varepsilon_{\mathrm{sp}}-\varepsilon_{\mathrm{cu}}\right)}$ |

$$
\mathrm{x}=\frac{\varepsilon}{\varepsilon_{\mathrm{cc}}}
$$

$$
\mathrm{r}=\frac{\mathrm{Ec}}{\mathrm{Ec}-\mathrm{E}_{\mathrm{sec}}}
$$

$$
\mathrm{E}_{\mathrm{sec}}=\frac{\mathrm{f}_{\mathrm{c}}}{\varepsilon_{\mathrm{cc}}}
$$



## Material Color States:

$\square$ Tension strain after tension capacity
$\square$ Tension strain before tension capacity
$\square$ Initial state
$\square$ Compression before crushing strain
$\square$ Compression before end of spallingCompression after spalling

## Reference:

Mander, J.B., Priestley, M. J. N., "Observed Stress-Strain
Behavior of Confined Concrete", Journal of Structural
Engineering, ASCE, Vol. 114, No. 8, August 1988, pp. 1827-1849

$$
\varepsilon=\text { Concrete Strain }
$$

$$
\mathrm{fc}=\text { Concrete Stress }
$$

$$
\mathrm{Ec}=\text { Elastic Modulus }
$$

$$
\mathrm{E}_{\text {sec }}=\text { Secant Modulus }
$$

$$
\varepsilon_{\mathrm{t}}=\text { Tension Strain Capacity }
$$

$$
\varepsilon_{\mathrm{cu}}=\text { Ultimate Concrete Strain }
$$

$$
\varepsilon_{c c}=\text { Strain at PeakStress }=.002
$$

$$
\varepsilon_{\mathrm{sp}}=\text { Spalling Strain }
$$

$$
\mathrm{f}_{\mathrm{c}}=28 \text { Day Compressive Strength }
$$

$$
\mathrm{f}_{\mathrm{cu}}=\text { Stress at } \varepsilon_{\mathrm{cu}}
$$

$$
f_{c p}=\text { Post Spalling Strength }
$$

For use only in an academic or research setting.
Section Name: PWall1
$\qquad$

## Section Details:

| X Centroid: | 162.8 mm |
| :--- | :--- |
| Y Centroid: | 225.0 mm |
| Section Area: | $135.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |
| EI gross about X: | $17.09 \mathrm{E}+9 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| EI gross about Y: | $613.2 \mathrm{E}+3 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| I trans (ICEB) about X: | $1.065 \mathrm{E}+6 \mathrm{~cm} \wedge 4$ |
| I trans (ICEB) about Y: | $488.5 \mathrm{E}+3 \mathrm{~cm} \wedge 4$ |
| Reinforcing Bar Area: | $339.3 \mathrm{~mm} \wedge 2$ |
| Percent Longitudinal Steel: | $.2513 \%$ |
| Overall Width: | 450.0 mm |
| Overall Height: | 600.0 mm |
| Number of Fibers: | 271 |
| Number of Bars: | 3 |
| Number of Materials: | 2 |

## Material Types and Names:



User Defined:
ICEB
Strain Hardening Steel:
Grade 30

## Comments:

For use only in an academic or research setting.

Section Name:
Loading Name:
Analysis Type:

PWall1
Interaction
PM Interaction

5/23/2013
inn
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Section Details:
X Centroid:
Y Centroid:
Section Area:
Loading Details:

| Angle of Loading: | 0 deg |
| :--- | :--- |
| Number of Points: | 40 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3$ Comp |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Comp |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Ten |

## Analysis Results:

| Max. Compression Load: | $193.3 \mathrm{E}+3 \mathrm{~N}$ |
| :--- | :--- |
| Max. Tension Load: | $-69.90 \mathrm{E}+3 \mathrm{~N}$ |
| Maximum Moment: | $23.65 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Moment: | $92.91 \mathrm{E}+3 \mathrm{~N}$ |
| Minimum Moment: | $-21.84 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Moment: | 7294 N |
| Moment (Mxx) at P=0: | $10.76 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | Units in N-m |

## Comments:

User Comments
162.8 mm
225.0 mm
$135.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$
2.000E-3 Ten
$92.91 \mathrm{E}+3 \mathrm{~N}$

7294 N
10.76E+3 N-m

0 N

N

0 N
0 N-m

Units in $\mathrm{N}-\mathrm{m}$


For use only in an academic or research setting.

Section Name:
Loading Name:
Analysis Type:

PWall1
Out of Plane
PM Interaction

## inn

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## Section Details:

X Centroid:
Y Centroid:
Section Area:
Loading Details:

| Angle of Loading: | 90 deg |
| :--- | :--- |
| Number of Points: | 40 |
| Min. ICEB Strain: | $2.000 \mathrm{E}-3$ Comp |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Comp |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Ten |

## Analysis Results:

| Max. Compression Load: | $193.3 \mathrm{E}+3 \mathrm{~N}$ |
| :--- | :--- |
| Max. Tension Load: | $-69.90 \mathrm{E}+3 \mathrm{~N}$ |
| Maximum Moment: | $12.66 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Moment: | -5692 N |
| Minimum Moment: | $-14.83 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Moment: | $84.11 \mathrm{E}+3 \mathrm{~N}$ |
| Moment (Myy) at P=0: | $12.38 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | Units in N-m |



For use only in an academic or research setting.
Section Name: PWall2
$\qquad$

Section Details:

| X Centroid: | $2.69 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $1.02 \mathrm{E}-14 \mathrm{~mm}$ |
| Section Area: | $180.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |
| EI gross about X: | $17.09 \mathrm{E}+9 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| EI gross about Y: | $613.2 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| I trans (ICEB) about X: | $3.960 \mathrm{E}+6 \mathrm{~cm} \wedge 4$ |
| I trans (ICEB) about Y: | $32.34 \mathrm{E}+3 \mathrm{~cm} \wedge 4$ |
| Reinforcing Bar Area: | $235.6 \mathrm{~mm} \wedge 2$ |
| Percent Longitudinal Steel: | $.1309 \%$ |
| Overall Width: | 150.0 mm |
| Overall Height: | 1200 mm |
| Number of Fibers: | 224 |
| Number of Bars: | 3 |
| Number of Materials: | 2 |

Material Types and Names:


| User Defined: | $\square$ ICEB |
| :--- | :--- |
| Strain Hardening Steel: | $\square$ Grade 30 |

## Comments:

For use only in an academic or research setting.
Section Name:
PWall2
Loading Name: Interaction

Analysis Type:
PM Interaction
inn
Page of $\qquad$

Section Details:

| X Centroid: | $2.69 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $1.02 \mathrm{E}-14 \mathrm{~mm}$ |
| Section Area: | $180.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |

## Loading Details:

| Angle of Loading: | 0 deg |
| :--- | :--- |
| Number of Points: | 80 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3 \mathrm{Comp}$ |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3 \mathrm{Comp}$ |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3 \mathrm{Ten}$ |
| Analysis Results: |  |
| Max. Compression Load: | $213.3 \mathrm{E}+3 \mathrm{~N}$ |
| Max. Tension Load: | $-48.54 \mathrm{E}+3 \mathrm{~N}$ |
| Maximum Moment: | $37.05 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Moment: | $63.16 \mathrm{E}+3 \mathrm{~N}$ |
| Minimum Moment: | $-37.05 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Moment: | $63.16 \mathrm{E}+3 \mathrm{~N}$ |
| Moment (Mxx) at P=0: | $21.31 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | $\mathrm{Units} \mathrm{in} \mathrm{N-m}$ |
| Man |  |



For use only in an academic or research setting.
Section Name:
PWall2
Loading Name: Out of Plane
Analysis Type:
PM Interaction
inn
Page $\qquad$ of $\qquad$

Section Details:

| X Centroid: | $2.69 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $1.02 \mathrm{E}-14 \mathrm{~mm}$ |
| Section Area: | $180.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |

## Loading Details:

| Angle of Loading: | 90 deg |
| :--- | :--- |
| Number of Points: | 60 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3$ Comp |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Comp |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Ten |

## Analysis Results:

| Max. Compression Load: | $213.3 \mathrm{E}+3 \mathrm{~N}$ |
| :--- | :--- |
| Max. Tension Load: | $-48.54 \mathrm{E}+3 \mathrm{~N}$ |
| Maximum Moment: | $3125 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Moment: | $107.3 \mathrm{E}+3 \mathrm{~N}$ |
| Minimum Moment: | $-3125 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Moment: | $107.3 \mathrm{E}+3 \mathrm{~N}$ |
| Moment (Myy) at P=0: | $2597 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | Units in N-m |



PM Data
Code Reduced PM Data Equation Fit to PM Data

For use only in an academic or research setting.
Section Name: PWall3 5/23/2013

| inn |
| :--- | :--- |
| Page _of $\_$ |

## Section Details:

| X Centroid: | $-8.68 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $8.62 \mathrm{E}-16 \mathrm{~mm}$ |
| Section Area: | $112.5 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |
| EI gross about X: | $17.09 \mathrm{E}+9 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| EI gross about Y: | $613.2 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| I trans (ICEB) about X: | $1.115 \mathrm{E}+6 \mathrm{~cm} \wedge 4$ |
| I trans (ICEB) about Y: | $20.53 \mathrm{E}+3 \mathrm{~cm} \wedge 4$ |
| Reinforcing Bar Area: | $157.1 \mathrm{~mm} \wedge 2$ |
| Percent Longitudinal Steel: | $.1396 \%$ |
| Overall Width: | 150.0 mm |
| Overall Height: | 750.0 mm |
| Number of Fibers: | 260 |
| Number of Bars: | 2 |
| Number of Materials: | 2 |

## Material Types and Names:



| User Defined: | $\square$ ICEB |
| :--- | :--- |
| Strain Hardening Steel: | $\square$ Grade 30 |

## Comments:

For use only in an academic or research setting.
Section Name:
PWall3
Loading Name:
Interaction
Analysis Type:
PM Interaction
inn
Page $\qquad$ of $\qquad$

## Section Details:

| X Centroid: | $-8.68 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $8.62 \mathrm{E}-16 \mathrm{~mm}$ |
| Section Area: | $112.5 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |

## Loading Details:

| Angle of Loading: | 0 deg |
| :--- | :--- |
| Number of Points: | 40 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3$ Comp |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Comp |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Ten |

## Analysis Results:

| Max. Compression Load: | $135.3 \mathrm{E}+3 \mathrm{~N}$ |
| :--- | :--- |
| Max. Tension Load: | $-32.36 \mathrm{E}+3 \mathrm{~N}$ |
| Maximum Moment: | $18.05 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Moment: | $37.49 \mathrm{E}+3 \mathrm{~N}$ |
| Minimum Moment: | $-18.05 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Moment: | $37.49 \mathrm{E}+3 \mathrm{~N}$ |
| Moment (Mxx) at P=0: | $9711 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | Units in N-m |

## Comments:

User Comments


For use only in an academic or research setting.
Section Name:
PWall3
Loading Name: Out of Plane
Analysis Type:
PM Interaction
inn
Page $\qquad$ of $\qquad$

## Section Details:

| X Centroid: | $-8.68 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $8.62 \mathrm{E}-16 \mathrm{~mm}$ |
| Section Area: | $112.5 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |

## Loading Details:

| Angle of Loading: | 90 deg |
| :--- | :--- |
| Number of Points: | 40 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3$ Comp |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Comp |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Ten |

## Analysis Results:

| Max. Compression Load: | $135.3 \mathrm{E}+3 \mathrm{~N}$ |
| :--- | :--- |
| Max. Tension Load: | $-32.36 \mathrm{E}+3 \mathrm{~N}$ |
| Maximum Moment: | $1931 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Moment: | $74.93 \mathrm{E}+3 \mathrm{~N}$ |
| Minimum Moment: | $-1931 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Moment: | $74.93 \mathrm{E}+3 \mathrm{~N}$ |
| Moment (Myy) at P=0: | $1597 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | Units in N-m |


$\qquad$
Page of

## Section Details:

| X Centroid: | $1.76 \mathrm{E}-16 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | -4.499 mm |
| Section Area: | $2.048 \mathrm{E}+6 \mathrm{~mm} \wedge 2$ |
| EI gross about X: | $17.09 \mathrm{E}+9 \mathrm{~N}-\mathrm{m}^{\wedge 2}$ |
| EI gross about Y: | $613.2 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| I trans (ICEB) about X: | $3.566 \mathrm{E}+9 \mathrm{~cm} \wedge$ |
| I trans (ICEB) about Y: | $128.0 \mathrm{E}+3 \mathrm{~cm} \wedge 4$ |
| Reinforcing Bar Area: | $735.0 \mathrm{~mm} \wedge 2$ |
| Percent Longitudinal Steel: | $35.90 \mathrm{E}-3 \%$ |
| Overall Width: | 150.0 mm |
| Overall Height: | $13.65 \mathrm{E}+3 \mathrm{~mm}$ |
| Number of Fibers: | 64 |
| Number of Bars: | 26 |
| Number of Materials: | 2 |

Material Types and Names:


User Defined:
ICEB
Strain Hardening Steel:
Grade 30

## Comments:

For use only in an academic or research setting.

Section Name: PWall8
Loading Name: Out of Plane

Analysis Type:
PM Interaction
5/23/2013
inn
Page $\qquad$ of $\qquad$

## Section Details:

| X Centroid: | $1.76 \mathrm{E}-16 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | -4.499 mm |
| Section Area: | $2.048 \mathrm{E}+6 \mathrm{~mm} \wedge 2$ |

## Loading Details:

| Angle of Loading: | 90 deg |
| :--- | :--- |
| Number of Points: | 80 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3$ Comp |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Comp |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Ten |

## Analysis Results:

| Max. Compression Load: | $2.028 \mathrm{E}+6 \mathrm{~N}$ |
| :--- | :--- |
| Max. Tension Load: | $-151.4 \mathrm{E}+3 \mathrm{~N}$ |
| Maximum Moment: | $28.53 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Moment: | $1.292 \mathrm{E}+6 \mathrm{~N}$ |
| Minimum Moment: | $-28.53 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Moment: | $1.292 \mathrm{E}+6 \mathrm{~N}$ |
| Moment (Myy) at P=0: | $3785 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | Units in N-m |



PM Data
Code Reduced PM Data
Equation Fit to PM Data

For use only in an academic or research setting.
Section Name: PWall 17
$\qquad$

Section Details:

| X Centroid: | 170.0 mm |
| :--- | :--- |
| Y Centroid: | 511.7 mm |
| Section Area: | $270.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |
| EI gross about X: | $5.103 \mathrm{E}+6 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| EI gross about Y: | $2.341 \mathrm{E}+6 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| I trans (ICEB) about X: | $8.061 \mathrm{E}+6 \mathrm{~cm} \wedge 4$ |
| I trans (ICEB) about Y: | $1.084 \mathrm{E}+6 \mathrm{~cm} \wedge 4$ |
| Reinforcing Bar Area: | $235.6 \mathrm{~mm} \wedge 2$ |
| Percent Longitudinal Steel: | $87.27 \mathrm{E}-3 \%$ |
| Overall Width: | 600.0 mm |
| Overall Height: | 1350 mm |
| Number of Fibers: | 173 |
| Number of Bars: | 3 |
| Number of Materials: | 2 |

## Material Types and Names:



| User Defined: | $\square$ ICEB |
| :--- | :--- |
| Strain Hardening Steel: | $\square$ Grade 30 |

## Comments:

For use only in an academic or research setting.
Section Name:
Loading Name:
Analysis Type:

PWall 17
Interaction
PM Interaction
inn
Page $\qquad$ of $\qquad$

Section Details:
X Centroid:
Y Centroid:
Section Area:
Loading Details:

| Angle of Loading: | 0 deg |
| :---: | :---: |
| Number of Points: | 40 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3 \mathrm{Comp}$ |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3 \mathrm{Comp}$ |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Ten |
| Analysis Results: |  |
| Max. Compression Load: | 295.8E+3 N |
| Max. Tension Load: | $-48.54 \mathrm{E}+3 \mathrm{~N}$ |
| Maximum Moment: | $68.58 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Moment: | 132.4E+3 N |
| Minimum Moment: | -62.17E+3 N-m |
| P at Min. Moment: | 48.14E+3 N |
| Moment (Mxx) at $\mathrm{P}=0$ : | 19.53E+3 N-m |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | Units in $\mathrm{N}-\mathrm{m}$ |

## Comments:

User Comments
170.0 mm
511.7 mm
$270.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$
1.0000 Ten
2.000E-3 Comp
$2.000 \mathrm{E}-3$ Ten
295.8E $68.58 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$
$132.4 \mathrm{E}+3 \mathrm{~N}$
-62.17E+3 N-m
48.14E+3 N
19.53E+3 N-m

0 N

N

0 N
0 N -m

Units in $\mathrm{N}-\mathrm{m}$


For use only in an academic or research setting.

Section Name:
PWall 17
Loading Name: Out of Plane
Analysis Type:
PM Interaction
5/23/2013
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$\qquad$
$\qquad$

Section Details:
X Centroid:
Y Centroid:
Section Area:
Loading Details:

| Angle of Loading: | 90 deg |
| :--- | :--- |
| Number of Points: | 40 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3 \mathrm{Comp}$ |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3 \mathrm{Comp}$ |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3 \mathrm{Ten}$ |
| Analysis Results: |  |
| Max. Compression Load: | $295.8 \mathrm{E}+3 \mathrm{~N}$ |
| Max. Tension Load: | $-48.54 \mathrm{E}+3 \mathrm{~N}$ |
| Maximum Moment: | $18.58 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Moment: | $15.98 \mathrm{E}+3 \mathrm{~N}$ |
| Minimum Moment: | $-27.24 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Moment: | $208.3 \mathrm{E}+3 \mathrm{~N}$ |
| Moment (Myy) at P=0: | $14.28 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | $\mathrm{Units} \mathrm{in} \mathrm{N-m}$ |
| Man |  |



For use only in an academic or research setting.
Section Name: PWall18
inn
Page of $\qquad$

Section Details:

| X Centroid: | $5.80 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $-5.81 \mathrm{E}-15 \mathrm{~mm}$ |
| Section Area: | $157.5 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |
| EI gross about X: | $13.27 \mathrm{E}+6 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| EI gross about Y: | $135.6 \mathrm{E}+3 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| I trans (ICEB) about X: | $2.770 \mathrm{E}+6 \mathrm{~cm} \wedge 4$ |
| I trans (ICEB) about Y: | $28.30 \mathrm{E}+3 \mathrm{~cm} \wedge 4$ |
| Reinforcing Bar Area: | $235.6 \mathrm{~mm} \wedge 2$ |
| Percent Longitudinal Steel: | $.1496 \%$ |
| Overall Width: | 150.0 mm |
| Overall Height: | 1050 mm |
| Number of Fibers: | 224 |
| Number of Bars: | 3 |
| Number of Materials: | 2 |

Material Types and Names:


| User Defined: | $\square$ ICEB |
| :--- | :--- |
| Strain Hardening Steel: | $\square$ Grade 30 |

## Comments:

For use only in an academic or research setting.

Section Name:
PWall18
Loading Name:
Analysis Type:

Interaction
PM Interaction

5/23/2013
inn
Page $\qquad$ of $\qquad$

Section Details:

| X Centroid: | $5.80 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $-5.81 \mathrm{E}-15 \mathrm{~mm}$ |
| Section Area: | $157.5 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |

## Loading Details:

| Angle of Loading: | 0 deg |
| :--- | :--- |
| Number of Points: | 40 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3$ Comp |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Comp |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Ten |

## Analysis Results:

| Max. Compression Load: | $192.7 \mathrm{E}+3 \mathrm{~N}$ |
| :--- | :--- |
| Max. Tension Load: | $-48.54 \mathrm{E}+3 \mathrm{~N}$ |
| Maximum Moment: | $30.14 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Moment: | $56.65 \mathrm{E}+3 \mathrm{~N}$ |
| Minimum Moment: | $-30.14 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Moment: | $56.65 \mathrm{E}+3 \mathrm{~N}$ |
| Moment (Mxx) at P=0: | $18.25 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | Units in N-m |

## Comments:

User Comments


For use only in an academic or research setting.
Section Name:
PWall18
Loading Name: Out of Plane
Analysis Type:
PM Interaction
inn
Page $\qquad$ of $\qquad$

## Section Details:

| X Centroid: | $5.80 \mathrm{E}-15 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $-5.81 \mathrm{E}-15 \mathrm{~mm}$ |
| Section Area: | $157.5 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |

## Loading Details:

| Angle of Loading: | 90 deg |
| :--- | :--- |
| Number of Points: | 40 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3$ Comp |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Comp |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Ten |


| Analysis Results: |  |
| :--- | :--- |
| Max. Compression Load: | $192.7 \mathrm{E}+3 \mathrm{~N}$ |
| Max. Tension Load: | $-48.54 \mathrm{E}+3 \mathrm{~N}$ |
| Maximum Moment: | $2726 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Moment: | $108.5 \mathrm{E}+3 \mathrm{~N}$ |
| Minimum Moment: | $-2726 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Moment: | $108.5 \mathrm{E}+3 \mathrm{~N}$ |
| Moment (Myy) at P=0: | $2303 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | Units in N-m |



For use only in an academic or research setting.
Section Name: PWallA 5/23/2013

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| :--- |
| Page _of $\_$ |

## Section Details:

| X Centroid: | $-5.60 \mathrm{E}-16 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $4.05 \mathrm{E}-15 \mathrm{~mm}$ |
| Section Area: | $135.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |
| EI gross about X: | $13.27 \mathrm{E}+6 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| EI gross about Y: | $135.6 \mathrm{E}+3 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| I trans (ICEB) about X: | $7.884 \mathrm{E}+6 \mathrm{~cm} \wedge 4$ |
| I trans (ICEB) about Y: | $24.64 \mathrm{E}+3 \mathrm{~cm} \wedge 4$ |
| Reinforcing Bar Area: | $1257 \mathrm{~mm} \wedge 2$ |
| Percent Longitudinal Steel: | $.9310 \%$ |
| Overall Width: | 150.0 mm |
| Overall Height: | 900.0 mm |
| Number of Fibers: | 270 |
| Number of Bars: | 4 |
| Number of Materials: | 2 |

Material Types and Names:


| User Defined: | $\square$ ICEB |
| :--- | :--- |
| Strain Hardening Steel: | $\square$ Grade 30 |

## Comments:

For use only in an academic or research setting.
Section Name: PWallA
Loading Name: Interaction

Analysis Type:
PM Interaction
inn
Page $\qquad$ of $\qquad$

Section Details:

| X Centroid: | $-5.60 \mathrm{E}-16 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $4.05 \mathrm{E}-15 \mathrm{~mm}$ |
| Section Area: | $135.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |

## Loading Details:

| Angle of Loading: | 0 deg |
| :--- | :--- |
| Number of Points: | 40 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3 \mathrm{Comp}$ |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $5.000 \mathrm{E}-3 \mathrm{Comp}$ |
| Max. Grade 30 Strain: | $5.000 \mathrm{E}-3 \mathrm{Ten}$ |
| Analysis Results: |  |
| Max. Compression Load: | $408.0 \mathrm{E}+3 \mathrm{~N}$ |
| Max. Tension Load: | $-258.9 \mathrm{E}+3 \mathrm{~N}$ |
| Maximum Moment: | $106.7 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Moment: | $43.56 \mathrm{E}+3 \mathrm{~N}$ |
| Minimum Moment: | $-106.7 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Moment: | $43.56 \mathrm{E}+3 \mathrm{~N}$ |
| Moment (Mxx) at P=0: | $94.74 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | $\mathrm{Units} \mathrm{in} \mathrm{N-m}$ |
| Man |  |



For use only in an academic or research setting.
Section Name: PWallA

| Loading Name: | Out of Plane | in |
| :--- | :--- | :--- |
| Analysis Type: | PM Interaction | Page |

## Section Details:

| X Centroid: | $-5.60 \mathrm{E}-16 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $4.05 \mathrm{E}-15 \mathrm{~mm}$ |
| Section Area: | $135.0 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |

## Loading Details:

| Angle of Loading: | 90 deg |
| :--- | :--- |
| Number of Points: | 40 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3$ Comp |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Comp |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Ten |

## Analysis Results:

| Max. Compression Load: | $381.5 \mathrm{E}+3 \mathrm{~N}$ |  |
| :--- | :--- | :---: |
| Max. Tension Load: | $-258.9 \mathrm{E}+3 \mathrm{~N}$ |  |
| Maximum Moment: | $2317 \mathrm{~N}-\mathrm{m}$ |  |
| P at Max. Moment: | $260.3 \mathrm{E}+3 \mathrm{~N}$ |  |
| Minimum Moment: | $-2317 \mathrm{~N}-\mathrm{m}$ |  |
| P at Min. Moment: | $260.3 \mathrm{E}+3 \mathrm{~N}$ |  |
| Moment (Myy) at P=0: | $2108 \mathrm{~N}-\mathrm{m}$ |  |
| Max. Code Comp. Load: | 0 N |  |
| Max. Code Ten. Load: | 0 N |  |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |  |
| P at Max. Code Moment: | 0 N |  |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |  |
| P at Min. Code Moment: | 0 N |  |
| PM Interaction Equation: | Units in N-m |  |



PM Data
Code Reduced PM Data Equation Fit to PM Data


For use only in an academic or research setting.
Section Name: PWallC
inn
Page of $\qquad$

Section Details:

| X Centroid: | $-2.33 \mathrm{E}-18 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $-3.41 \mathrm{E}-15 \mathrm{~mm}$ |
| Section Area: | $607.5 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |
| EI gross about X: | $13.27 \mathrm{E}+6 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| EI gross about Y: | $135.6 \mathrm{E}+3 \mathrm{~N}-\mathrm{m} \wedge 2$ |
| I trans (ICEB) about X: | $132.25 \mathrm{E}+6 \mathrm{~cm} \wedge 4$ |
| I trans (ICEB) about Y: | $37.97 \mathrm{E}+3 \mathrm{~cm} \wedge 4$ |
| Reinforcing Bar Area: | $785.4 \mathrm{~mm} \wedge 2$ |
| Percent Longitudinal Steel: | $.1293 \%$ |
| Overall Width: | 150.0 mm |
| Overall Height: | 4050 mm |
| Number of Fibers: | 62 |
| Number of Bars: | 10 |
| Number of Materials: | 2 |

Material Types and Names:


User Defined:
ICEB
Strain Hardening Steel:
Grade 30

## Comments:

For use only in an academic or research setting.
Section Name: PWallC

| Loading Name: | Out of Plane | inn |
| :--- | :--- | :--- |
| Analysis Type: | PM Interaction | Page _of $\quad$ _ |

## Section Details:

| X Centroid: | $-2.33 \mathrm{E}-18 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $-3.41 \mathrm{E}-15 \mathrm{~mm}$ |
| Section Area: | $607.5 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |

## Loading Details:

| Angle of Loading: | 90 deg |
| :--- | :--- |
| Number of Points: | 40 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3$ Comp |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Comp |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Ten |


| Analysis Results: |  |
| :--- | :--- |
| Max. Compression Load: | $718.0 \mathrm{E}+3 \mathrm{~N}$ |
| Max. Tension Load: | $-161.8 \mathrm{E}+3 \mathrm{~N}$ |
| Maximum Moment: | $8466 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Moment: | $500.0 \mathrm{E}+3 \mathrm{~N}$ |
| Minimum Moment: | $-8466 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Moment: | $500.0 \mathrm{E}+3 \mathrm{~N}$ |
| Moment (Myy) at P=0: | $4045 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | Units in N-m |

Section Name: PWallD
inn
Page of $\qquad$

Section Details:

| X Centroid: | $-7.22 \mathrm{E}-16 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $-8.93 \mathrm{E}-15 \mathrm{~mm}$ |
| Section Area: | $1.238 \mathrm{E}+6 \mathrm{~mm} \wedge 2$ |
| EI gross about X: | $17.09 \mathrm{E}+9 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| EI gross about Y: | $613.2 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| I trans (ICEB) about X: | $1.245 \mathrm{E}+9 \mathrm{~cm} \wedge 4$ |
| I trans (ICEB) about Y: | $77.34 \mathrm{E}+3 \mathrm{~cm} \wedge 4$ |
| Reinforcing Bar Area: | $2149 \mathrm{~mm} \wedge 2$ |
| Percent Longitudinal Steel: | $.1736 \%$ |
| Overall Width: | 150.0 mm |
| Overall Height: | 8250 mm |
| Number of Fibers: | 62 |
| Number of Bars: | 19 |
| Number of Materials: | 2 |

Material Types and Names:

User Defined:
Strain Hardening Steel:

## Comments:

User Comments

For use only in an academic or research setting.

Section Name: PWallD
Loading Name: Out of Plane
Analysis Type:
PM Interaction
5/23/2013
inn
Page $\qquad$ of $\qquad$

Section Details:
X Centroid:
Y Centroid:
Section Area:
Loading Details:

| Angle of Loading: | 90 deg |
| :---: | :---: |
| Number of Points: | 40 |
| Min. ICEB Strain: | $2.500 \mathrm{E}-3 \mathrm{Comp}$ |
| Max. ICEB Strain: | 1.0000 Ten |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3 \mathrm{Comp}$ |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Ten |
| Analysis Results: |  |
| Max. Compression Load: | 1.575E+6 N |
| Max. Tension Load: | -442.7E+3 N |
| Maximum Moment: | 17.25E+3 N-m |
| P at Max. Moment: | 1.131E+6 N |
| Minimum Moment: | -17.25E+3 N-m |
| P at Min. Moment: | 1.131E+6 N |
| Moment (Myy) at $\mathrm{P}=0$ : | $11.07 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | Units in $\mathrm{N}-\mathrm{m}$ |



For use only in an academic or research setting.
Section Name: Ring Beam 5/23/2013

| inn |
| :--- |
| Page $-{ }^{\text {of }}-$ |

## Section Details:

| X Centroid: | $-1.96 \mathrm{E}-14 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $1.49 \mathrm{E}-16 \mathrm{~mm}$ |
| Section Area: | $60.00 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |
| EI gross about X: | $13.27 \mathrm{E}+6 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| EI gross about Y: | $135.6 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}^{\wedge} 2$ |
| I trans (Concrete) about X: | $82.72 \mathrm{E}+3 \mathrm{~cm} \wedge 4$ |
| I trans (Concrete) about Y: | $11.10 \mathrm{E}+3 \mathrm{~cm} \wedge 4$ |
| Reinforcing Bar Area: | $157.1 \mathrm{~mm} \wedge 2$ |
| Percent Longitudinal Steel: | $.2618 \%$ |
| Overall Width: | 150.0 mm |
| Overall Height: | 400.0 mm |
| Number of Fibers: | 238 |
| Number of Bars: | 2 |
| Number of Materials: | 2 |

Material Types and Names:


Strain Hardening Steel:
Grade 30
Unconfined Concrete:
Concrete

## Comments:

For use only in an academic or research setting.

Section Name: Ring Beam
Loading Name: Interaction

Analysis Type:
PM Interaction
5/23/2013
inn
Page $\qquad$ _

## Section Details:

| X Centroid: | $-1.96 \mathrm{E}-14 \mathrm{~mm}$ |
| :--- | :--- |
| Y Centroid: | $1.49 \mathrm{E}-16 \mathrm{~mm}$ |
| Section Area: | $60.00 \mathrm{E}+3 \mathrm{~mm} \wedge 2$ |

## Loading Details:

| Angle of Loading: | 0 deg |
| :--- | :--- |
| Number of Points: | 40 |
| Min. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Comp |
| Max. Grade 30 Strain: | $2.000 \mathrm{E}-3$ Ten |
| Min. Concrete Strain: | $3.000 \mathrm{E}-3$ Comp |
| Max. Concrete Strain: | 1.0000 Ten |

## Analysis Results:

Max. Compression Load:
Max. Tension Load:
Maximum Moment:
P at Max. Moment:

| Minimum Moment: | $-64.13 \mathrm{E}+3 \mathrm{~N}-\mathrm{m}$ |
| :--- | :--- |
| P at Min. Moment: | $567.6 \mathrm{E}+3 \mathrm{~N}$ |
| Moment (Mxx) at P=0: | $5439 \mathrm{~N}-\mathrm{m}$ |
| Max. Code Comp. Load: | 0 N |
| Max. Code Ten. Load: | 0 N |
| Maximum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Max. Code Moment: | 0 N |
| Minimum Code Moment: | $0 \mathrm{~N}-\mathrm{m}$ |
| P at Min. Code Moment: | 0 N |
| PM Interaction Equation: | Units in N-m |

## Comments:

User Comments


Appendix C: Quadruplex Design Drawings


## PERSPECTIVE QUADROPLEX



FLOOR PLAN


FRONT ELEVATION


## General Notes

1. Material Properties

Compressed earth blocks shall have a minimum 28 -day compressive strength of $3 \mathrm{MPa}(435 \mathrm{psi})$. Soil mixture shall have approximately $15 \%$ clay content (particles less than 0.005 mm in diameter) with $6 \%$ minimum cement content by weight.
Grout shall have a minimum 28 -day compressive strength of $5 \mathrm{MPa}(725 \mathrm{psi})$. Grout mixture shall be $1.0: 0.4: 2.6: 4.2$ (portland cement : lime : water : sand) by dry volume.
Concrete for foundations and ring beams at tops of walls shall have a minimum 28 -day compressive strength of 21 MPa ( 3000 psi ).
Vertical steel shall be minimum 12 mm bar with fy=206 MPa (Gr. 30). Horizontal steel shall be minimum 10 mm bar with fy=206 MPa (Gr. 30). Vertical steel shall be placed per plan with a maximum spacing of 1200 mm and at all wall ends and door jambs. Horizontal steel shall be placed per plan with a maximum spacing of 600 mm .
$\mathrm{f}^{\prime} \mathrm{m}$ (ICEB) $=3 \mathrm{MPa}(435 \mathrm{psi})$
$\mathrm{f}^{\prime} \mathrm{C}$ (Foundations and ring beams) $=21 \mathrm{MPa}(3000 \mathrm{psi})$
fy = 206 MPa (Gr. 30)
2. Foundations

All walls shall be founded on strip foundations per plan. The foundation plan is to be designed by others.
3. Roofing

All walls shall be sloped to match the roofing system. This system is to be designed by others.
4. Construction Techniques

Grout is to be poured in lifts no higher than 300 mm . Each grout lift shall be ended 40 mm below the bed joint of a block to create a grout key at the cold joint Channel blocks shall be grouted to 10 mm below the bed joint to create a grout key in the channel. Horizontal rebar must be completely bonded to grout. Walls shall be partially or fully grouted with each grout channel cell grouted and each cell with reinforcement grouted. Channel blocks shall be fully grouted. Horizontal rebar shall be hooked $180^{\circ}$ around vertical rebar at ends of walls and where necessary.


Flexible Diaphragm Analysis Wall Lines


Walls 1,6,10,15 1:30



## Walls $3,4,12,131: 30$





$\bigoplus$ BLOW - UP DETAIL - B


## Appendix D: Calculation of Minimum Vertical Steel Ratios based on MSJC 3.3.3.5.1

Source Code:

```
clc
clear
fy=30; % grade of steel in ksi
As=78.5; %cross section area of 1 bar in mm^2
alpha=1.5; %tension strain ductility factor (3 for intermediate walls,
4 for special, 1.5 others)
Es=200000; % modulus of elasticity of steel in MPa
ey=fy/29000; %yield strain of steel
em=0.0025; %ultimate code compressive strain of masonry
dp=75; %distance in mm from comp fiber to comp steel
fm=3; %compressive stress of masonry in MPa
hmin=2000; %minimum height of wall in mm
hmax=4000; %maximum height of wall in mm
h=[hmin:100:hmax]';
if fy==30
    fy=206;
elseif fy==40
            fy=276;
elseif fy==60
    fy=414;
end
for i=1:size(h)
    d(i)={300:150:h(i)};
end
g=cell2mat(d(i));
largestd =size(g,2);
rho=zeros(largestd,size(h,1));
for i=1:size(d,2)
    dv=cell2mat(d(i));
    for j=1:size(dv,2)
            c(j)=dv(1,j)/((ey*alpha/em)+1); %1.5 factor on ey comes from
3.3.3.5.1
            a(j)=.8*c(j);
            Cm(j)=0.8*fm*a(j)*150;
            eyp(j)=(c(j)-dp)*em/c(j);
            Ts=fy*As*((alpha*ey)/(em+alpha*ey))*((alpha*ey-
ey)/(alpha*ey)+.5/alpha);
            Cs=fy*As*(em/(em+alpha*ey)) *((em-ey)/em+.5* (ey/em));
            if eyp(j)>ey
                Cs(j)=fy;
            else
                Cs(j)=eyp(j)*200000;
            end
    P(j)=Cm(j)+Cs-Ts; % P is in Newtons
    %P(j)=200000;%h(i)*dv(1,j)*.001*2.62;
    M(j)=fy*As*(dv(1,j)-a(j)/2)+Cs*(a(j)/2-dp); % M is in N-mm
    Pbd=P(j)/(150*dv(1,j));
```

```
            rho(j,i)=(0.64*fm*(em/(em+alpha*ey))-P(j)/(150*dv(1,j)))/(fy-
min(em-(dp/dv(1,j))*(em+alpha*ey),ey)*Es); %see MSJC 2008 CC 3.3.3.5
    end
end
fid=fopen('rho','w+');
fprintf(fid,'Maximum Vertical Reinforcing Ratios Rho\n ');
for i=1:size(rho,2)
    fprintf(fid,'%6.0f ',h(i));
end
    fprintf(fid,'\n');
for i=1:size(rho,1)
    fprintf(fid,'%4.0f ',dv(1,i));
        for j=1:size(rho,2)
            fprintf(fid,'%6.4f ',rho(i,j));
        end
fprintf(fid,'\n');
end
```

Maximum Vertical Steel Reinforcing Ratios $\rho$
Wall Heights (mm)

|  | 2000 | 2100 | 2200 | 2300 | 2400 | 2500 | 2600 | 2700 | 2800 | 2900 | 3000 | 3100 | 3200 | 3300 | 3400 | 3500 | 3600 | 3700 | 3800 | 3900 | 4000 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 300 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 | 0.0938 |
| 450 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 | 0.0625 |
| 600 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 | 0.0469 |
| 750 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 | 0.0375 |
| 900 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 | 0.0313 |
| 1050 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 | 0.0268 |
| 1200 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 | 0.0235 |
| 1350 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 | 0.0208 |
| 1500 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 | 0.0188 |
| 1650 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 | 0.0171 |
| 1800 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 | 0.0156 |
| 1950 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 | 0.0144 |
| 2100 | 0 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 | 0.0134 |
| 2250 | 0 | 0 | 0 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 | 0.0125 |
| 2400 | 0 | 0 | 0 | 0 | 0.0117 | 0.0117 | 0.0117 | 0.0117 | 0.0117 | 0.0117 | 0.0117 | 0.0117 | 0.0117 | 0.0117 | 0.0117 | 0.0117 | 0.0117 | 0.0117 | 0.0117 | 0.0117 | 0.0117 |
| 2550 | 0 | 0 | 0 | 0 | 0 | 0 | 0.011 | 0.011 | 0.011 | 0.011 | 0.011 | 0.011 | 0.011 | 0.011 | 0.011 | 0.011 | 0.011 | 0.011 | 0.011 | 0.011 | 0.011 |
| 2700 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.0104 | 0.0104 | 0.0104 | 0.0104 | 0.0104 | 0.0104 | 0.0104 | 0.0104 | 0.0104 | 0.0104 | 0.0104 | 0.0104 | 0.0104 | 0.0104 |
| 2850 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.0099 | 0.0099 | 0.0099 | 0.0099 | 0.0099 | 0.0099 | 0.0099 | 0.0099 | 0.0099 | 0.0099 | 0.0099 | 0.0099 |
| 3000 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.0094 | 0.0094 | 0.0094 | 0.0094 | 0.0094 | 0.0094 | 0.0094 | 0.0094 | 0.0094 | 0.0094 | 0.0094 |
| 3150 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.0089 | 0.0089 | 0.0089 | 0.0089 | 0.0089 | 0.0089 | 0.0089 | 0.0089 | 0.0089 |
| 3300 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.0085 | 0.0085 | 0.0085 | 0.0085 | 0.0085 | 0.0085 | 0.0085 | 0.0085 |
| 3450 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.0082 | 0.0082 | 0.0082 | 0.0082 | 0.0082 | 0.0082 |
| 3600 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.0078 | 0.0078 | 0.0078 | 0.0078 | 0.0078 |
| 3750 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.0075 | 0.0075 | 0.0075 |
| 3900 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.0072 | 0.0072 |

## Appendix E: Construction Estimate for a Habitat for Humanity ICEB Home in Udon Thani, Thailand

Estimate courtesy of Geoffrey Wheeler and the Center for Vocational Building Technology.

Construction Estimate


