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#### Learning How to Learn: Powerful Mental Tools to Help You Master Tough Subject

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## Learning How to Learn: Powerful Mental Tools to Help You Master Tough Subjects

03

Barbara Oakley, PhD, PE

Professor of Engineering, Oakland University, Rochester, Michigan Ramón y Cajal Distinguished Scholar of Global Digital Learning, McMaster University





Terrence Sejnowski
Francis Crick Professor
The Salk Institute
Professor of Biological Sciences
University of California, San Diego







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#### Workshop with Barbara Oakley

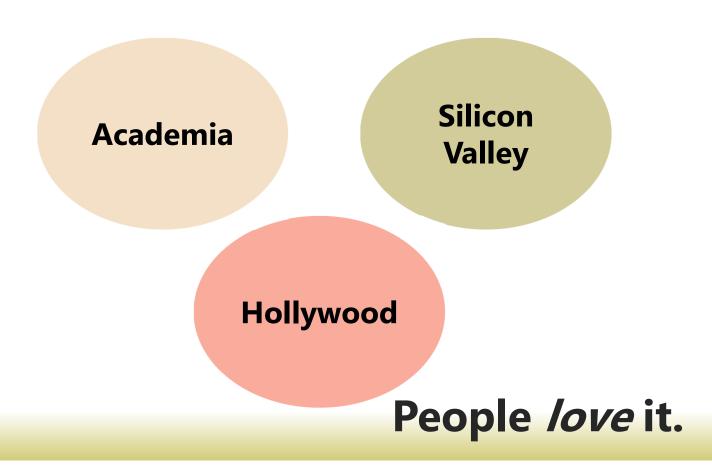
Date: Thursday, May 7, 2015, 10:00am to 11:00am

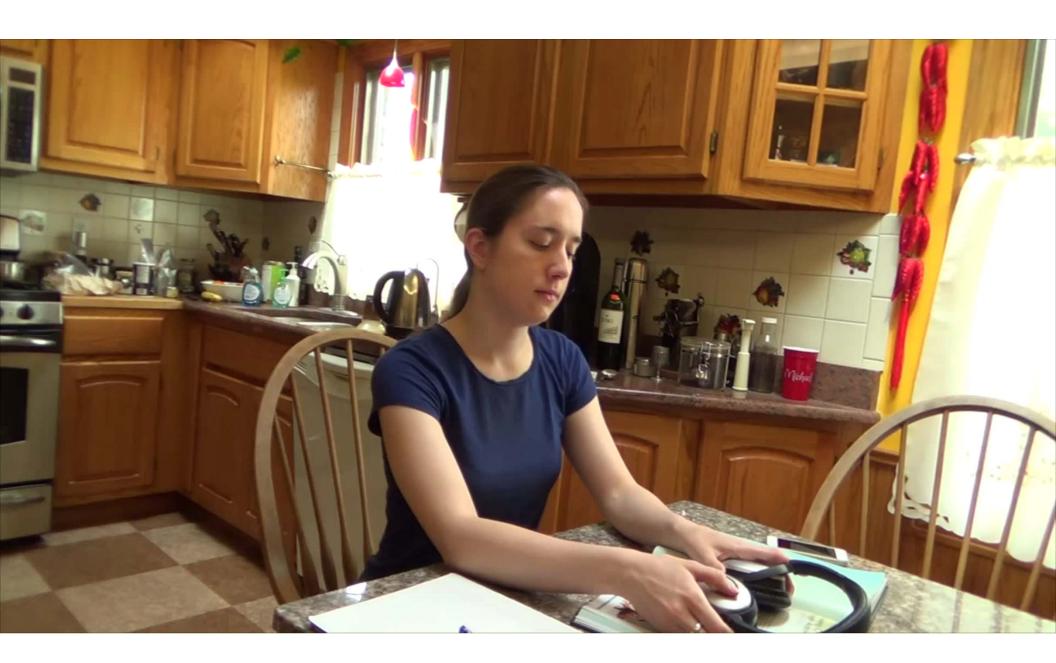
LESSONS FROM A BASEMENT STUDIO—

#### HOW TO MAKE A RIVETING ONLINE CLASS

This talk describes the key elements behind the making of high quality educational videos for online learning, including scripting, filming, and editing.

### Online is highly competitive





## Impact

Little ability to reach the public.

A nonfiction book





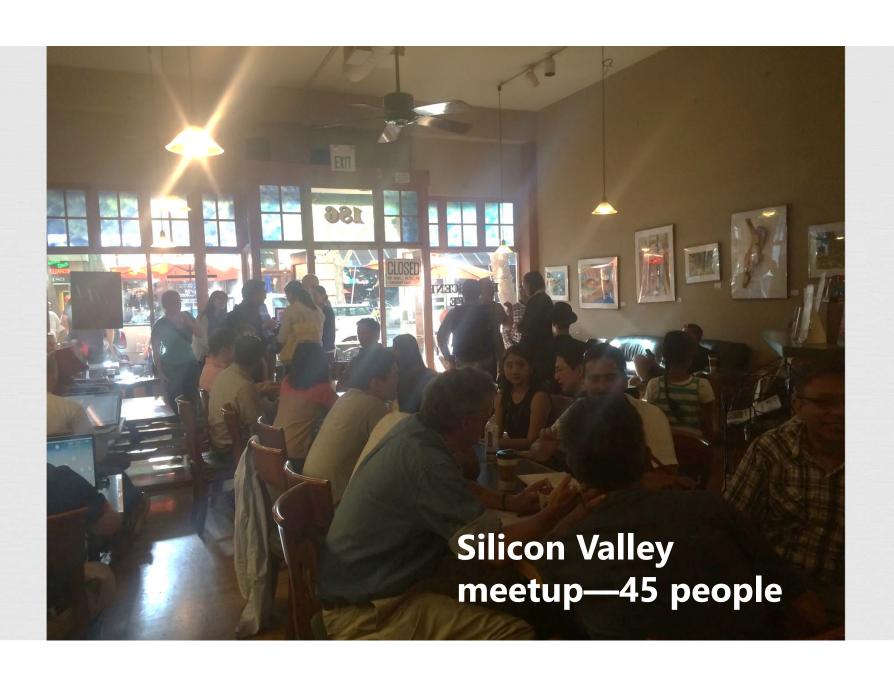
HOW TO EXCEL AT MATH AND SCIENCE

(Even If You Flunked Algebra)

BARBARA OAKLEY, Ph.D.



Barb Oakley with *Science Friday's*Ira Flatow (1.3 million weekly listeners)
and the *New York Times'* Ben Carey

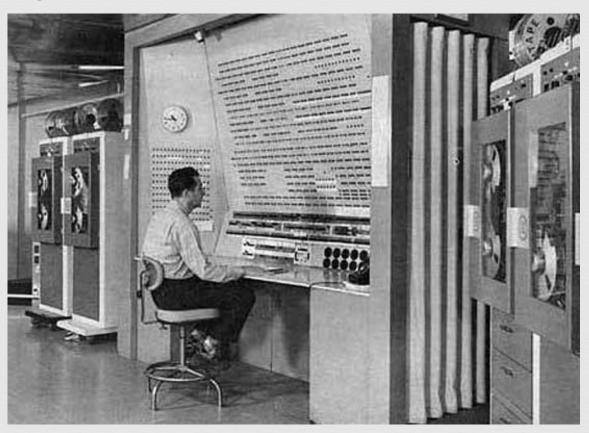




#### **MOOCs & Online**

- Reach
- "Legs"
- Your own educational television show
- Endless reruns
- Only investment—startup time

## Most universities have not yet decoded MOOCs



## "Caged" versus "Free Range" learners



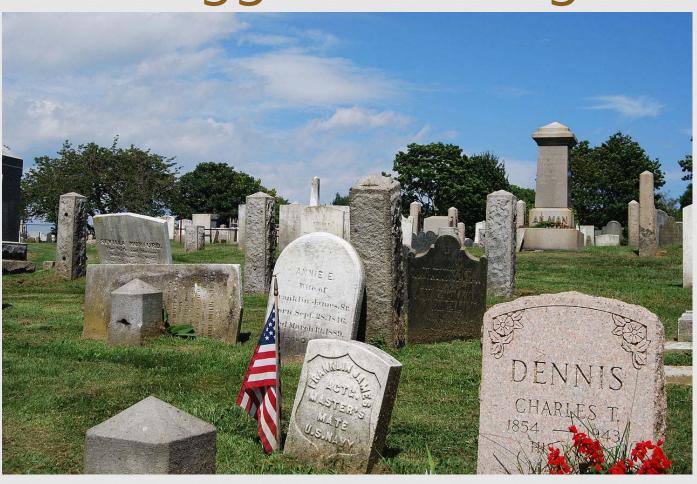
18 to 24year-olds

18 to 85-year-olds





## The biggest challenge?





## How did you do it?



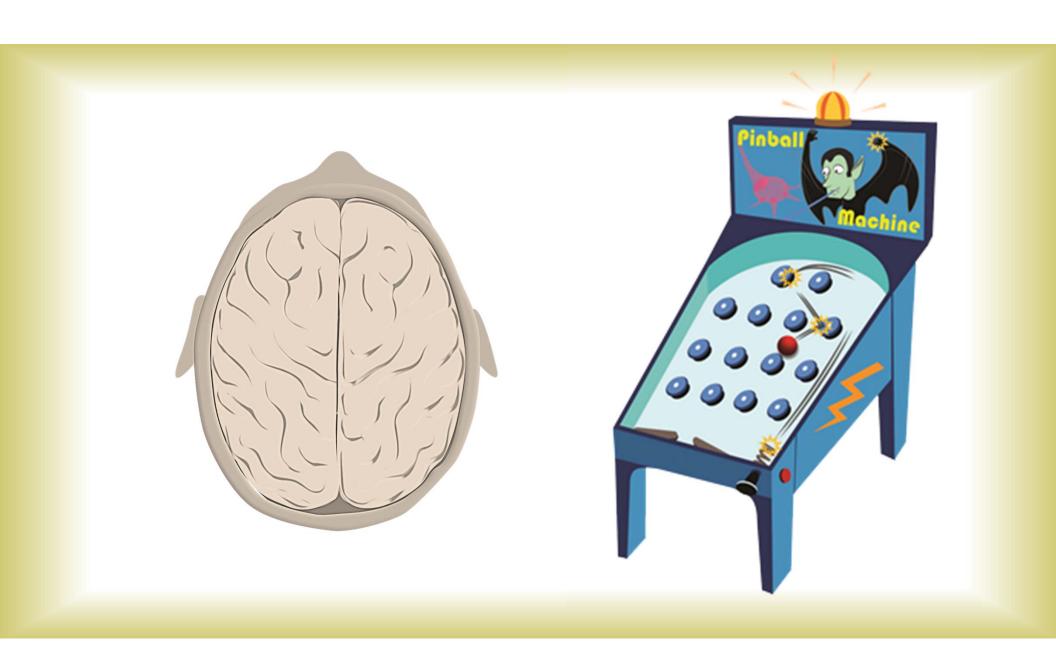
Function $f(x)$	Derivative $f'(x)$	Integral $\int f(x)dx$ (constant term is omitted)	Multiplicative derivative $f^*(x)$	Multiplicative integral $\int f(x)^{dx}$ (constant factor is omitted)	Discrete derivative (difference) $\Delta f(x)$	Discrete integral (antidifference) $\Delta^{-1}f(x)$ (constant term is omitted)	Discrete multiplicative derivative <sup>[5]</sup> (multiplicative difference)	Discrete multiplicative integral $\prod_x f(x)$ (constant factor is omitted)
a	0	ax	1	$a^x$	0	ax	1	$a^x$
x	1	$\frac{x^2}{2}$	$\sqrt[x]{e}$	$\frac{x^x}{e^x}$	1	$\left \frac{x^2}{2} - \frac{x}{2}\right $	$1+\frac{1}{x}$	$\Gamma(x)$
ax + b	a	$\frac{ax^2 + 2bx}{2}$	$\exp\left(\frac{a}{ax+b}\right)$	$\frac{(b+ax)^{\frac{b}{a}+x}}{e^x}$	a	$\frac{ax^2 + 2bx - ax}{2}$	$1 + \frac{a}{ax + b}$	$\frac{a^x \Gamma(\frac{ax+b}{a})}{\Gamma(\frac{a+b}{a})}$
$\frac{1}{x}$	$-\frac{1}{x^2}$	$\ln  x $	$\frac{1}{\sqrt[x]{e}}$	$\frac{e^x}{x^x}$	$-\frac{1}{x+x^2}$	$\psi(x)$	$\frac{x}{x+1}$	$\frac{1}{\Gamma(x)}$
$x^a$	$ax^{a-1}$	$\frac{x^{a+1}}{a+1}$	$e^{\frac{\alpha}{x}}$	$e^{-ax}x^{ax}$	$(x+1)^a - x^a$	$\frac{B_{a+1}(x)}{a+1}, \ a \notin \mathbb{Z}^{-} \\ \frac{(-1)^{a-1}\psi^{(-a-1)}(x)}{\Gamma(-a)}, \ a \in \mathbb{Z}^{-}$	$\left(1+\frac{1}{x}\right)^a$	$\Gamma(x)^a$
$a^x$	$a^x \ln a$	$\frac{a^x}{\ln a}$	a	$a^{\frac{x^2}{2}}$	$(a-1)a^x$	$\frac{a^x}{a-1}$	a	$a^{\frac{x^2-x}{2}}$
$\sqrt[x]{a}$	$-\frac{\sqrt[x]{a}\ln a}{x^2}$	$x\sqrt[x]{a} - \operatorname{Ei}\left(\frac{\ln a}{x}\right) \ln a$	$a^{-\frac{1}{x^2}}$	$a^{\ln x}$	$a^{\frac{1}{1+x}} - a^{\frac{1}{x}}$	?	$a^{-\frac{1}{x+x^2}}$	$a^{\psi(x)}$
$\log_a x$	$\frac{1}{x \ln a}$	$\log_a x^x - \frac{x}{\ln a}$	$\exp\left(\frac{1}{x\ln x}\right)$	$\frac{(\log_a x)^x}{e^{\operatorname{li}(x)}}$	$\log_a \left(\frac{1}{x} - 1\right)$	$\log_a \Gamma(x)$	$\log_x(x+1)$	?
$x^x$	$x^x(1+\ln x)$	?	ex	$e^{-\frac{1}{4}x^2(1-2\ln x)}$	$(x+1)^{x+1} - x^x$	?	$\frac{(x+1)^{x+1}}{x^x}$	K(x)
$\Gamma(x)$	$\Gamma(x)\psi(x)$	?	$e^{\psi(x)}$	$e^{\psi^{(-2)}(x)}$	$(x-1)\Gamma(x)$	$(-1)^{x+1}\Gamma(x)(!(-x))$	x	$\frac{\Gamma(x)^{x-1}}{\mathrm{K}(x)}$

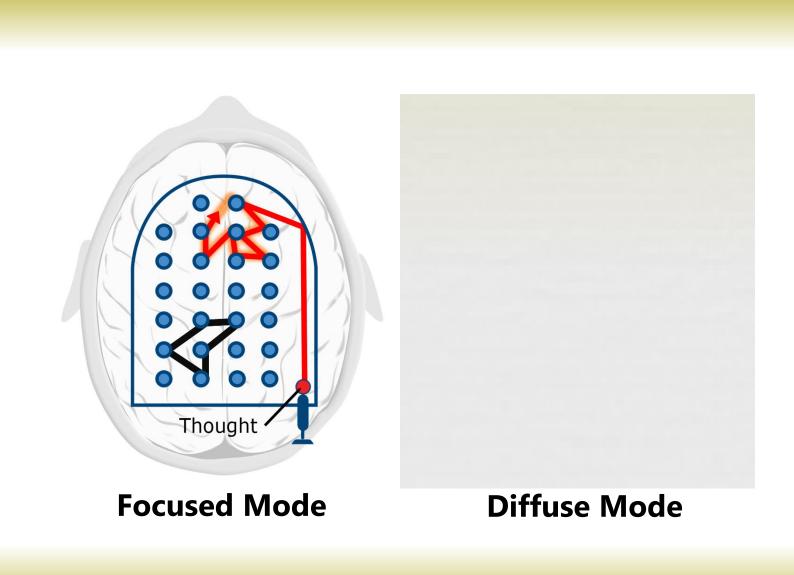


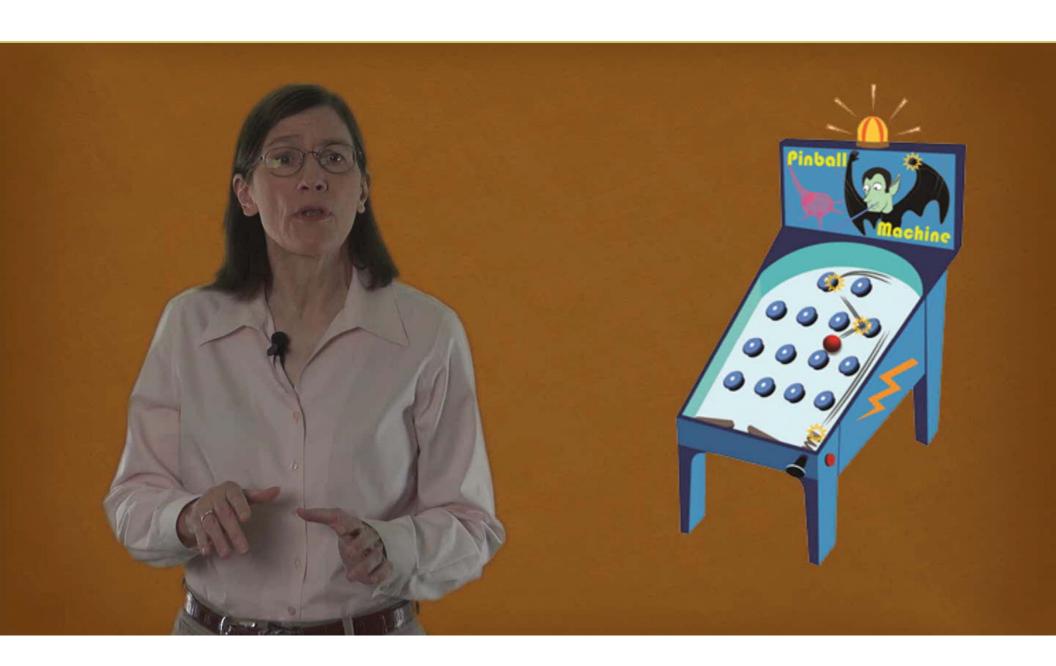


#### **Focused mode**

#### Diffuse mode

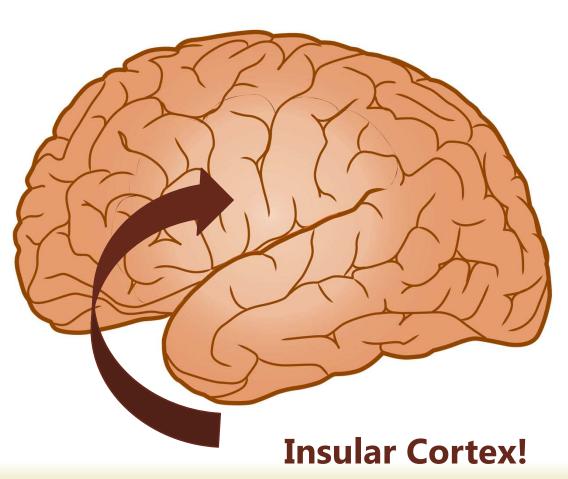


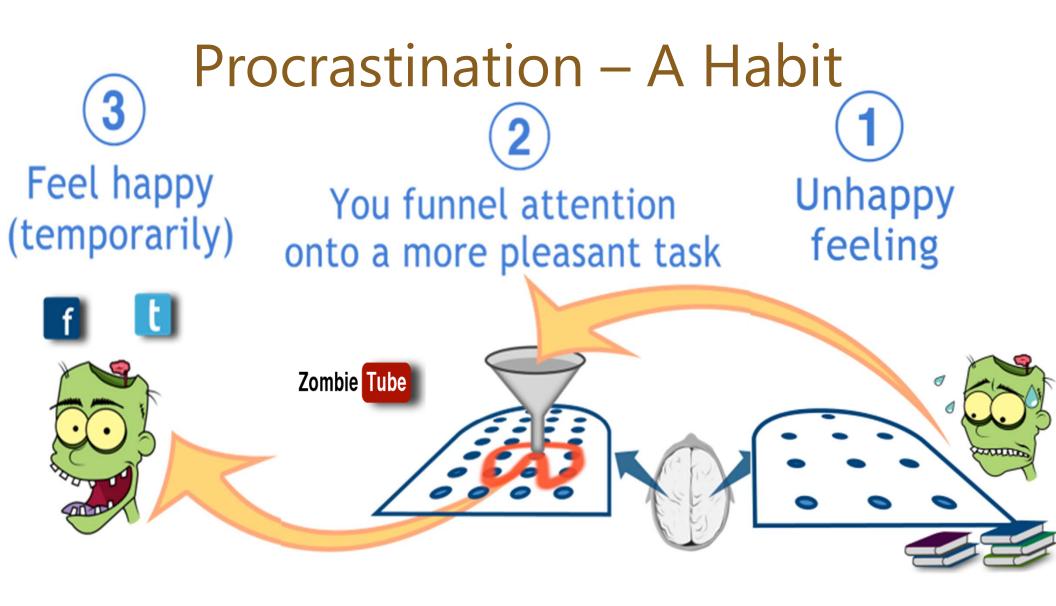




#### Procrastinate

#### Procrastinate

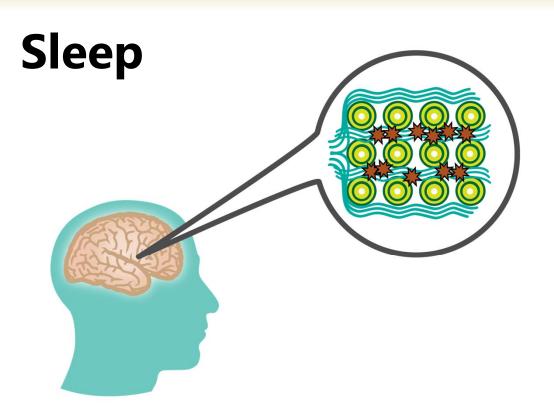


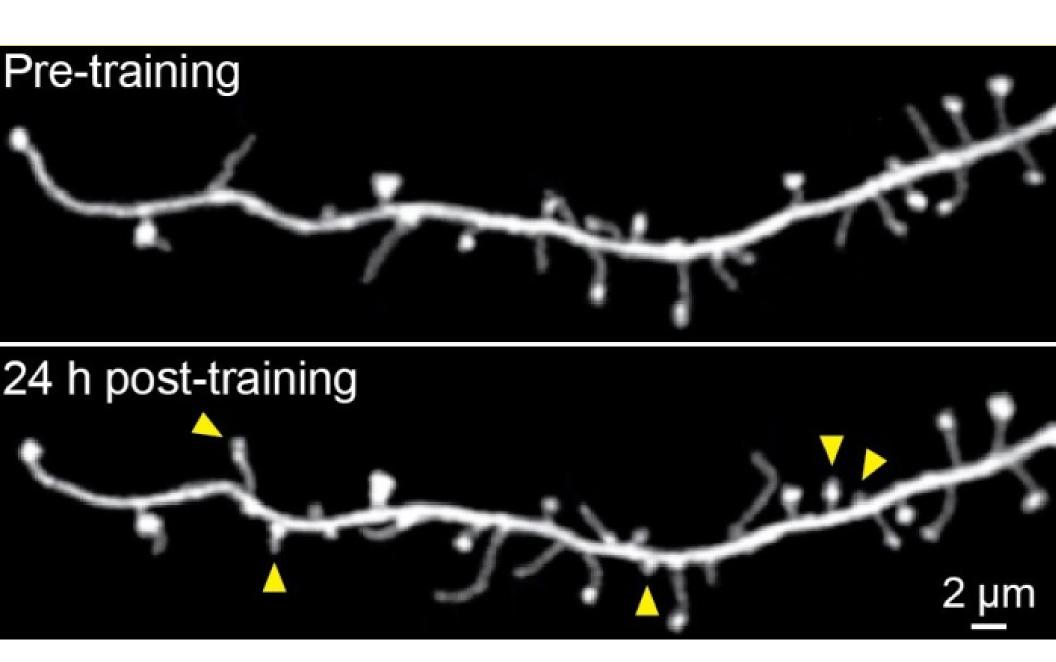




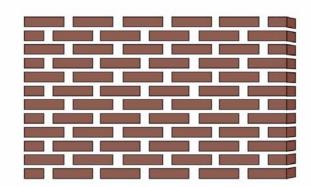
- Turn off all distractions
- Set timer for 25 minutes
- Focus
- Reward!

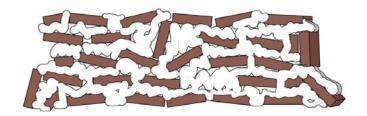
Do NOT focus on finishing a task

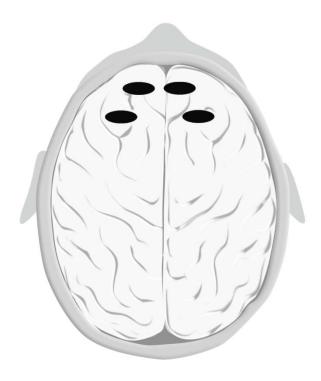




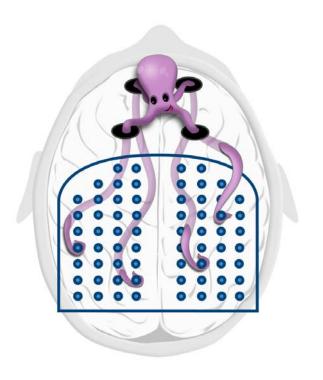






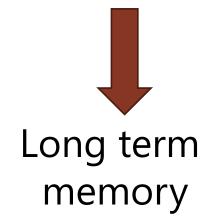


**Working memory** 

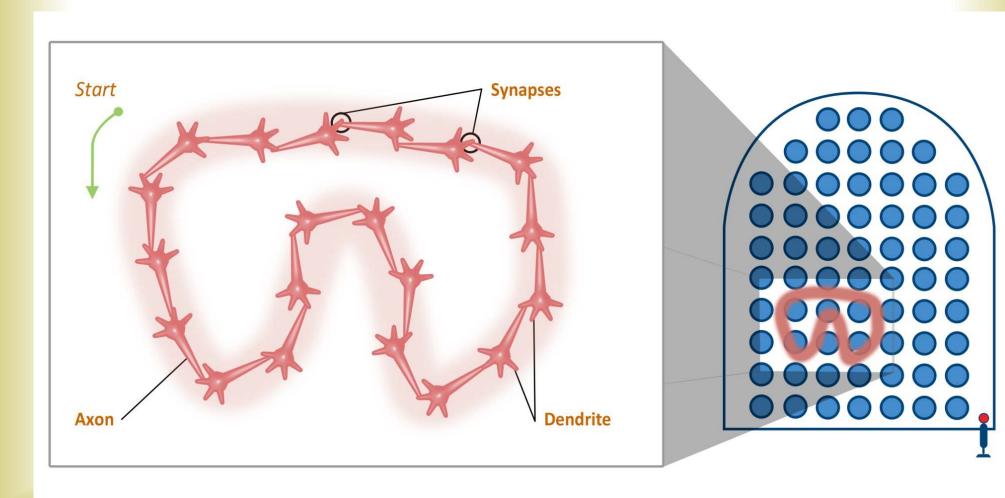


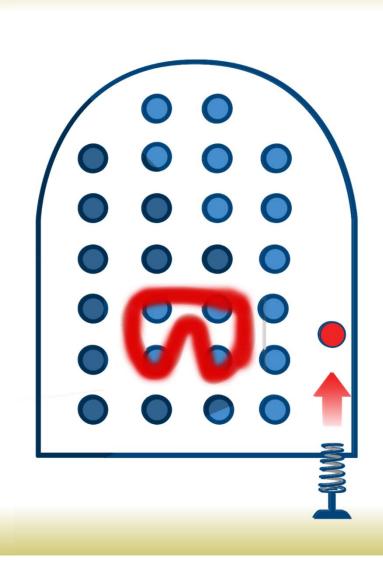
**Focused mode** 

Working memory



#### Practice Makes Permanent





#### Working memory and chunking



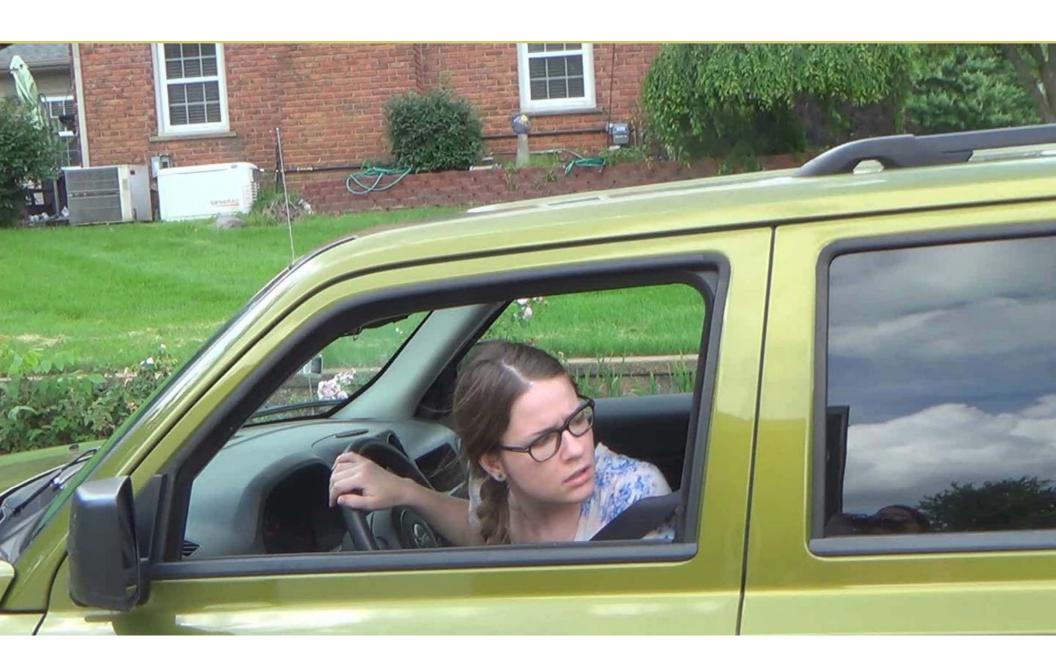
**Raw information** 

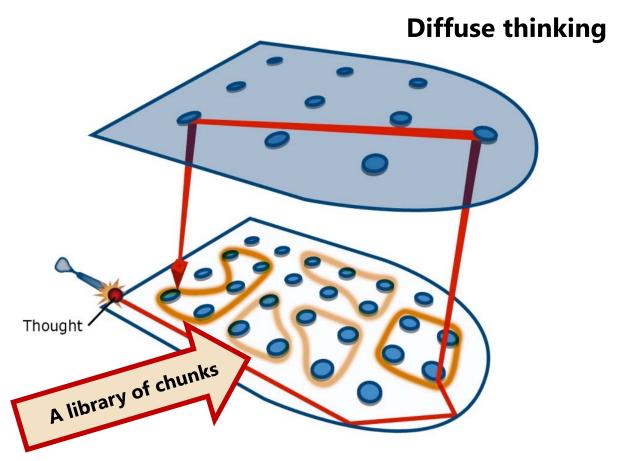




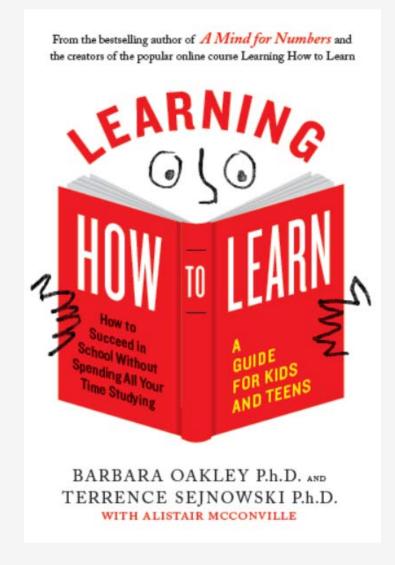
Information is chunked and understood





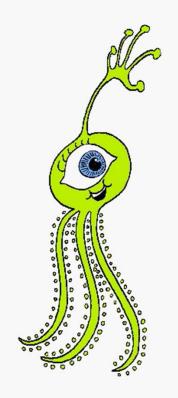


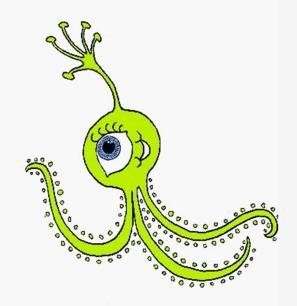
**Focused thinking** 

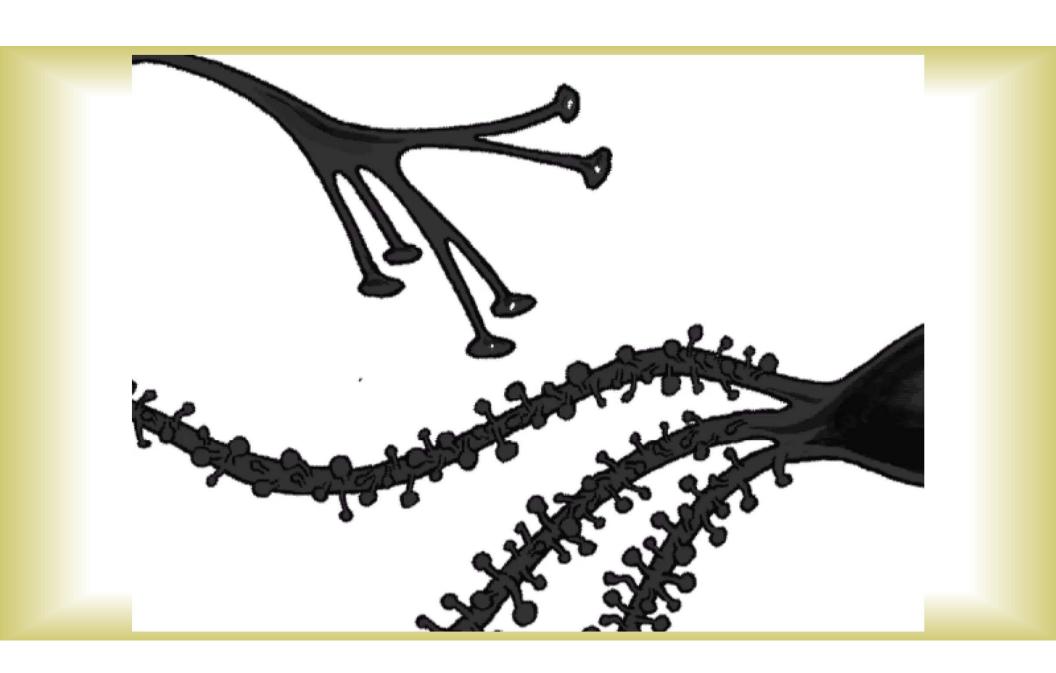


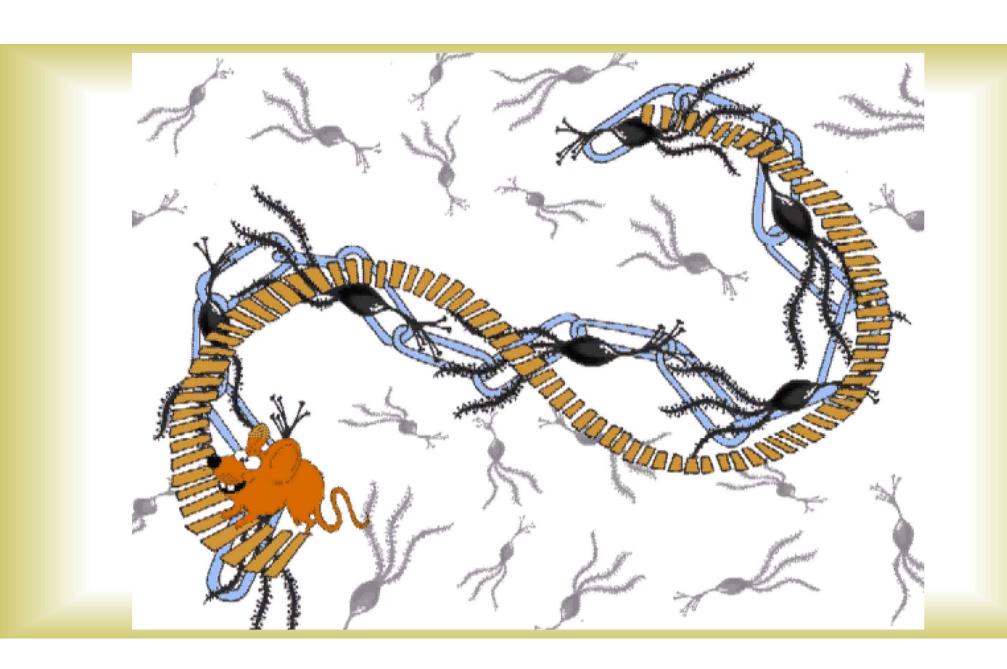
## Next project?

16 five-minute videos









The down side

The fan letters

# We are at the ground floor of a learning revolution!

What are you waiting for?