Rule-Based Composite Event Queries: The Language XChange^{EQ} and its Semantics

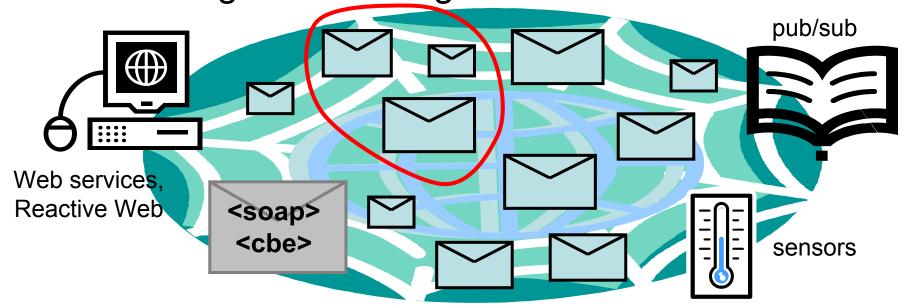
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Motivation: Composite Events

Generating and reacting to events on the Web

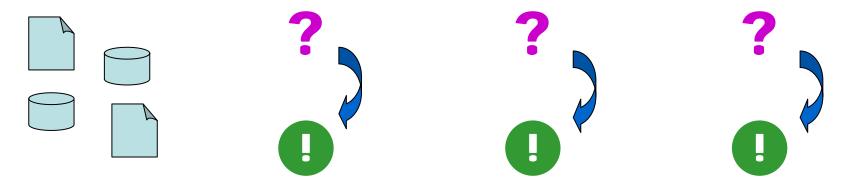


Composite Events

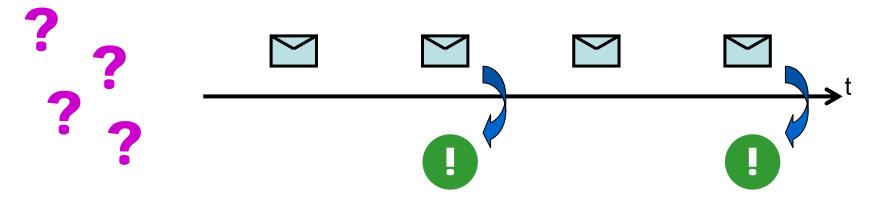
- Must be inferred from "atomic events" (messages)
- Multiple atomic events, relationship between them
- Need query language!

Queries against Event Streams

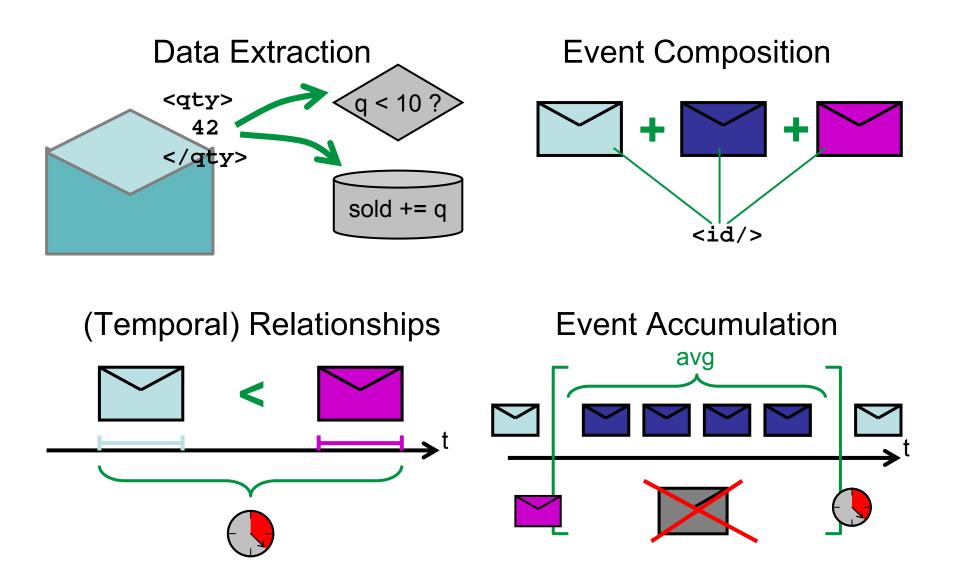
Database Queries, Web Queries:



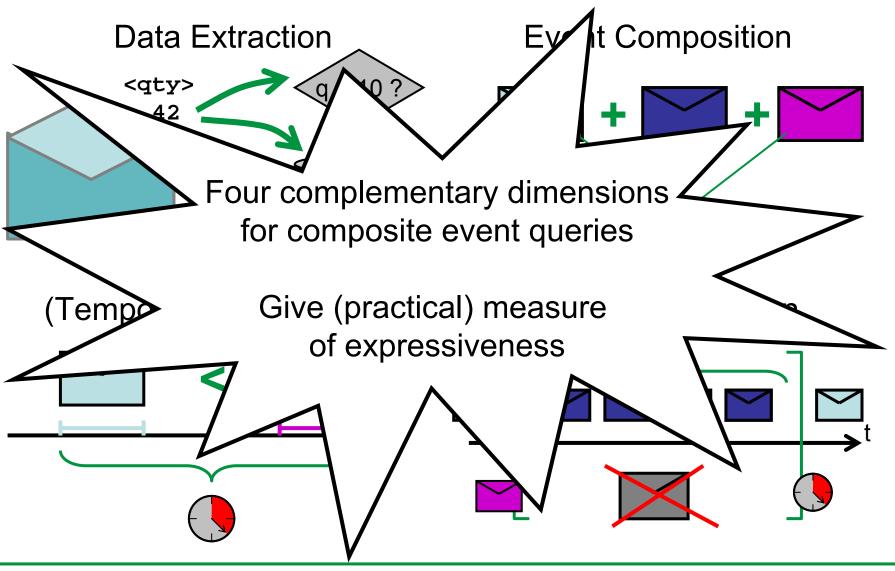
(Composite) Event Queries:



Language Requirements



Language Requirements



XChange^{EQ}: Rule-Based CEQs

- High-level, declarative query language for composite events, fully covers four dimensions
- Pattern-based queries on XML event messages: embeds Web query language Xcerpt
- Integrates into reactive rule language XChange
 - Perform automatic reactions, timing important
- Deductive (event) rules:
 - Define new, "virtual" events from received events
 - mediation, abstraction, reasoning (cf. database views)
 - Side-effect free; don't implement by reactive rules: optimization, (human) understanding

XChange^{EQ}: Example Rule

```
DETECT
                               DETECT
  overdue {
                                 order {
                                   id { var ID},
    id { var ID }
    cust { var C } }
                                   quantity { var C },
                                   cust { var C } }
ON
  and {
                               FROM
    event o: order {{
      id { var ID },
                               END
      quantity { var Q },
      cust { var C } }}
                                             6h
    event w: extend[o, 6h],
    while w: not shipped {{
      id { var ID } }}
  } where { var Q < 10 }</pre>
END
```

Semantics (1)

- Declarative Semantics for XChangeEQ: model + fixpoint theories for stratified programs (A standard approach for rule languages)
- (Tarski-style) model theory:
 Define M ⊨ F^t recursively

```
iff exists e^{t'} \in I with \tau(i) = e^{t'}, t' = t,
                                                       and for all e' \in \Sigma(q) we have e' \leq e
I, \Sigma, \tau \models (\text{event } i : \text{extends}[j, d])^t \text{ iff exists } e^{t'} \text{ with } \tau(j) = e^{t'}, \tau(i) = e^t, t = t' + d
                                                       (Definitions for other temporal events are similar and skipped.)
                                                        iff M \models q_1^{t_1} and M \models q_2^{t_2} and t = t_1 \sqcup t_2
M \models (q_1 \land q_2)^t
                                                       iff M \models q_1^t or M \models q_2^t
M \models (q_1 \lor q_2)^t
I, \Sigma, \tau \models (Q \text{ where } C)^t
                                                       iff I, \Sigma, \tau \models Q^t and W_{\Sigma, \tau}(C) = true
                                                       iff exists e^{t'} with \tau(j) = e^{t'}, t' = t,
I, \Sigma, \tau \models (\text{while } j : \text{not } q)^t
                                                       and for all t'' \sqsubseteq t we have I, \Sigma, \tau \not\models q^{t''}
                                                      iff exists e^{t'} with \tau(j) = e^{t'}, t' = t, and exist n \ge 0,
I, \Sigma, \tau \models (\text{while } j : \text{collect } q)^t
                                                        \Sigma_1, \ldots \Sigma_n, t_1 \sqsubseteq t, \ldots t_n \sqsubseteq t \text{ with } \Sigma = \bigcup_{i=1\ldots n} \Sigma_i,
                                                       iff (1) \Sigma'(c)^t \subseteq I for \Sigma' maximal (w.r.t. FreeVars(Q)) and \tau'
I, \Sigma, \tau \models (c \leftarrow Q)^t
                                                       such that I, \Sigma', \tau' \models Q^t, or (2) I, \Sigma', \tau' \not\models Q^t for all \Sigma', \tau'
W_{\Sigma,\tau}(i \text{ before } j) = \mathbf{true} \quad \text{iff } end(\tau(i)) < begin(\tau(j))
W_{\Sigma,\tau}(i \text{ during } j) = \mathbf{true} \quad \text{iff } begin(\tau(j)) < begin(\tau(i)) \text{ and } end(\tau(i)) < end(\tau(j))
W_{\Sigma,\tau}(i \text{ overlaps } j) = \mathbf{true} \text{ iff } begin(\tau(j)) < begin(\tau(i)) < end(\tau(j)) < end(\tau(i))
```

- Accommodates event identifiers ("event o:")
- Events have occurrence times
- Temporal relations: fixed interpretation

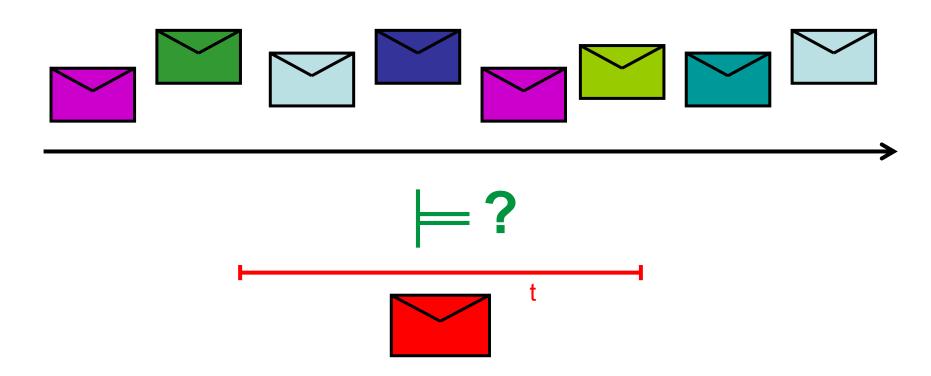
Semantics (2)

- Restriction to stratified programs
 - w.r.t. negation, grouping, relative temporal events
- Fixpoint: model M_{P,E}
 - T_P(I): all events derivable by rules in P
 - starting with incoming event stream E
 - compute fixpoints stratum by stratum

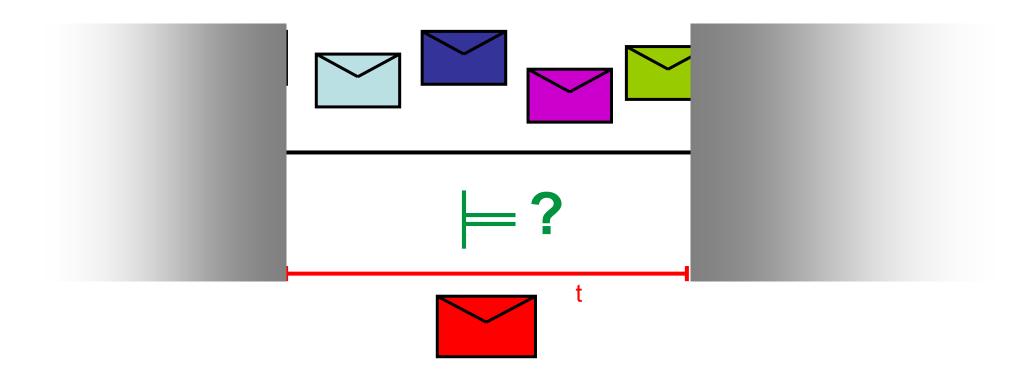
```
P = P_1 \uplus \cdots \uplus P_n
T_P(I) = I \cup \{e^t \mid \text{there exist a rule } c \leftarrow Q \in P,
a maximal substitution set \Sigma
and a substitution \tau s.t.
I, \Sigma, \tau \models Q^t \text{ and } e \in \Sigma(c)\}
T_P^{\omega}: \text{ least fixpoint of } T_P
M_0 = E = T_{\emptyset}^{\omega}(E),
M_1 = T_{P_1}^{\omega}(M_0),
\dots,
M_n = T_{P_n}^{\omega}(M_{n-1}) =: M_{P,E}.
```

- Theorem:
 - P stratified program, E (incoming) event stream.
 - Then: M_{P.E} is a minimal model of P under E and
 - Independent of the stratification of P

Unbounded Event Streams



Unbounded Event Streams



 XChange^{EQ}-Semantics are well-defined for unbounded ("infinite") incoming event streams E

$$M_{P,E} \mid t = M_{P,E|t} \mid t$$

Summary and Outlook

XChange^{EQ}:

- High-level event query language
- Full coverage of all four dimensions, XML support
- Support for (deductive) event rules
- Declarative Semantics
 - Model and fixpoint theory for stratified programs
 - Well-defined on unbounded event streams

Outlook

- Incremental, data-driven evaluation
- Optimizations based on temporal conditions



