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Heat-producing crust regulation of subsurface temperatures: a stochastic model re-evaluation of the geothermal potential in southwestern Queensland, Australia.

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Highlights 12

- 13 A new temperature map of SW Queensland at 5 km depth has been produced, with 14 163 new heat flow data and temperature estimates at 5 km depth.
- 15 1D steady state conduction is a good predictor of deep temperature data on a regional 16 scale.
- Effects of advective, convective or transient heat transfer are likely to be minor in this 17 18 region.
- 19 • No evidence has been found of widespread high heat producing granites in SW
- 20 Oueensland
- 21 A SW-NE trend of lower heat flow matches structural trends •
- 22 Areas of high crustal temperature in SW Queensland are associated with silicic crust • 23 relatively enriched in high heat producing elements between 5 and 40 km depth.
- 24

Abstract 25

26 A large subsurface, elevated temperature anomaly is well documented in Central Australia.

- 27 High Heat Producing Granites (HHPGs) intersected by drilling at Innamincka are often
- 28 assumed to be the dominant cause of the elevated subsurface temperatures, although their

29 presence in other parts of the temperature anomaly has not been confirmed. Geological 30 controls on the temperature anomaly remain poorly understood. Additionally, methods 31 previously used to predict temperature at 5 km depth in this area are simplistic and possibly 32 do not give an accurate representation of the true distribution and magnitude of the 33 temperature anomaly. Here we re-evaluate the geological controls on geothermal potential in 34 the Queensland part of the temperature anomaly using a stochastic thermal model. The results 35 illustrate that the temperature distribution is most sensitive to the thermal conductivity 36 structure of the top 5 km. Furthermore, the results indicate the presence of silicic crust 37 enriched in heat producing elements between 5 and 40 km.

38

Keywords: geothermal; Australia; heat flow; thermal conductivity; stochastic modelling;
inversion modelling

41

42 **1. Introduction**

43 Elevated geothermal gradients have long been recognised in the Great Artesian Basin (GAB) 44 of central-eastern Australia (Polak and Horsfall, 1979, and references therein) (Fig. 1a). More 45 recently, a regional map estimating the temperature at 5 km depth has been generated 46 (Oztemp) (Somerville et al., 1994; Chopra and Holgate, 2005; Gerner and Holgate, 2010) as a 47 basis for assessing the geothermal energy potential in Australia. The depth of 5 km was 48 chosen as a cut-off for the economic extraction of geothermal energy (Chopra and Holgate, 2005). The map suggests the presence of a large (ca. $800,000 \text{ km}^2$) subsurface temperature 49 50 anomaly (Oztemp anomaly) across central Australia and SW Queensland (Fig. 1b), with 51 estimated temperatures greater than 235°C at 5 km depth, ca. 85°C (i.e., ca. 57%) higher than 52 predicted from the average geothermal gradient for the upper continental crust (Somerville et 53 al., 1994; Chopra and Holgate, 2005). 54 It is estimated that rocks in the Cooper Basin region, shallower than 5 km, hold ca. 7.8 55 million PJ available heat (Somerville et al., 1994; Bahadori et al., 2013) (Fig. 1b). Across the 56 continent, Geoscience Australia has estimated that the crust shallower than 5 km contains 57 thermal energy equivalent to 2,500,000 years worth of the total 2004-2005 energy 58 consumption in Australia (Budd et al., 2006). Accordingly, geothermal exploration and 59 development attracted multi-billion dollar work commitments from industry in Australia,

60 with more than 400 geothermal tenements so far granted since 2001 (Dowd et al., 2011).

61 To date, generation of electricity from geothermal energy in central Australia and SW 62 Queensland is limited to the 80 kWe (net) Birdsville geothermal plant (Bahadori et al., 2013) 63 operating since 1992, a 20 kWe plant that operated on Mulka cattle station in South Australia 64 (Lund and Boyd, 1999) for a short time from 1987, and a 1 MWe pilot plant commissioned 65 by Geodynamics Ltd at Innamincka in May 2013. Recently, larger-scale projects have focused on Engineered Geothermal System (EGS) development at Innamincka, South 66 67 Australia (Fig. 1b), where High Heat Producing Granites (HHPGs) are intersected at 3 to 5 68 km depth. In particular, heat flow studies indicate that the high temperatures observed at 69 Innamincka are related to release of heat generated by radioactive decay within HHPGs at 70 depth, below a thermally insulating sedimentary cover (Middleton, 1979; Gallagher, 1987; 71 Beardsmore, 2004). It has thus been similarly predicted that anomalously high temperatures 72 in SW Queensland (Fig. 1b) also result from subsurface HHPGs (e.g., Chopra and Holgate, 73 2005; Draper and D'Arcy, 2006). However, heat production values estimated from limited 74 whole-rock chemical data for the few granites (Champion et al., 2007) intersected in petroleum wells to depths of ca. 3 km are substantially lower $(1.6-4.2 \,\mu \text{Wm}^{-3})$ than those 75 estimated for granites at Innamincka (9.7 μ Wm⁻³ for the Big Lake Suite Granite; Middleton, 76 1979). 77

78 Given the apparent absence of HHPGs (at < 5 km depth) beneath large tracts of the 79 Oztemp anomaly, an important issue for geothermal energy assessment across this region is a 80 critical appraisal of the quality of data upon which the temperature map was based. Important 81 issues with the current Oztemp map are the use of: 1) linear extrapolations of borehole 82 temperature measurements, as this may introduce errors because a conductive steady state 83 temperature profile of continental crust must be non-linear in the presence of radiogenic 84 material; 2) unreliable, shallow (e.g. < 500 m) temperature measurements extrapolated to 5 85 km depth, because shallow temperatures could be affected by past climatic variations (e.g., 86 Bauer and Chapman, 1986); and 3) temperature extrapolations without considering material 87 properties of the intersected lithologic formations, in particular, thermal conductivity and heat 88 production of the rocks (e.g., Chapman, 1986).

The availability of heat flow data in Australia and across the GAB are limited with only two heat flow values reported for the Queensland part of the Oztemp anomaly (Gallagher, 1987; Goutorbe et al., 2008). Additional heat flow data have been measured at the continental scale using a linear relationship between the silica geothermometer and heat flow (Pirlo, 2002). However, the distribution of these values is heterogeneous across SW Queensland. Other heat flow determinations across the Oztemp anomaly are restricted to the 95 South Australian part of the Cooper Basin, (Beardsmore, 2004; Meixner et al., 2012).

96 Consequently, the foundations of the Oztemp anomaly for SW Queensland are based on

97 sparse surface heat flow data and currently, little evidence for buried high heat producing

98 granitic rocks at depth.

99

100 The aim of this paper is to provide an improved understanding of the nature and origin of the 101 thermal regime in SW Queensland as well as a re-assessment of the geothermal potential, 102 both of which are crucial for the development of geothermal energy and to reduce exploration 103 and development costs. This study provides 163 new heat flow data and temperature 104 estimates at 5 km depth. A new temperature map at 5 km depth is presented to serve as a 105 guide for more focused geothermal exploration studies. This map is based on stochastic 106 thermal modelling, which permits a quantification of uncertainties of our estimates, and 107 includes new thermal conductivity and heat production measurements on subsurface granitic 108 rocks.

109 2. Geological Background

110 A large part of the Oztemp anomaly correlates with the extent of the Thomson Orogen; a 111 poorly understood tectonic element in eastern Australia that separates Precambrian cratonic 112 regions of central Australia from Phanerozoic fold belts developed along the eastern margin 113 (Fig. 1c) (see recent reviews Fergusson and Henderson, 2013; Purdy et al., 2013). Through 114 much of its extent, the Thomson Orogen is concealed by thick sedimentary cover (Fig. 1d) 115 and as a result, tectonic interpretations are still debated. In particular, the nature of the 116 underlying lower crust is disputed with some authors proposing it is oceanic crust 117 (Harrington, 1974; Glen et al., 2013), whereas others have argued that it is Precambrian (Henderson, 1980; Finlayson, 1990) and silicic continental crust (O'Reilly and Griffin, 1990). 118 119 Information on the nature of the Thomson Orogen basement derives from drilling (Fig. 1c), 120 outcrops located outside the Oztemp anomaly in the Anakie Inlier and Charter Towers area 121 (e.g., Fergusson and Henderson, 2013; Purdy et al., 2013), and from geophysical methods 122 such as gravity, magnetic and deep crustal seismic transects (Fig. 2). Across the Oztemp 123 anomaly, ca. 780 drill holes intersect Thomson orogen-related rocks at 1 to 4 km depth 124 (Brown et al., 2012) (Fig. 1c). Information from these holes suggests that the uppermost 125 stuctural levels are primarily composed of low-grade metasedimentary rocks, lesser granitic 126 intrusions (ca. 52 intersections) and volcanic rocks (ca. 15 intersections). The thickness of the lower crust is revealed by deep crustal seismic transects that indicate the Moho is located at
ca. 40 km depth (Finlayson et al., 1990). Along the Brisbane-Eromanga transect (a 1100 km
long E-W geophysical transect in southern Queensland; Fig. 2), the crust is considered to be

130 more silicic to the west based on low magnetization and low Bouguer anomalies (O'Reilly

131 and Griffin, 1990).

Additional information on the nature of the crust derives from extrapolation of xenolith studies in Eastern Australia (O'Reilly and Griffin, 1990) (Fig. 2) and an exposed crustal profile in the Arunta and Musgrave Inliers of central Australia (Sandiford et al., 2001). Within this exposed crustal profile, the abundance of high heat producing rocks varies with depth. Importantly, the crust between 6 and 10 km depth is highly enriched in heat producing elements. For example, the Teapot Granite Complex has an estimated heat generation of $5.9 \pm 1.7 \mu$ Wm⁻³ (Sandiford et al., 2001).

139 The lack of recent magmatic activity and seismicity across the Oztemp anomaly

140 suggests that the area is tectonically stable. The youngest known intrusive rocks are the

141 Permo-Carboniferous Big Lake Suite granodiorites at Innamincka (Gatehouse et al., 1995;

142 Marshall, 2013). Additionally, only 23 earthquakes were detected in the Queensland part of

the Oztemp anomaly during the last century and of those, only two are of magnitude > 4 (GA
Earthquake Database http://www.ga.gov.au/earthquakes/searchQuake.do).

145 Deep HHPGs serve as a potential reservoir for EGS development. Consequently, if

146 appropriate drilling targets are to be identified, it is crucial to understand the distribution and

147 character of the subsurface granitic rocks. Across the Queensland part of the Oztemp

anomaly, the 52 granitic intrusions intersected in drill holes are distributed heterogeneously

149 (Fig. 1c) and vary in composition from syenogranite to monzogranite, from I to S-type, and

150 from fresh (LOL Stormhill 1) to strongly altered (DIO Wolgolla 1) (Murray, 1994). Limited

151 data indicate low heat production ($< 5 \,\mu Wm^{-3}$) (Champion et al., 2007) and crystallisation

ages from 400 to 860 Ma, with two clusters at ca. 420 to 430 Ma SE of Innamincka and ca.

153 470 Ma near Longreach (Murray, 1994 and references therein; Draper, 2006).

In contrast, the adjacent Big Lake Suite intrusions that are the focus of EGS
development in Australia have emplacement ages of ca. 310 to 330 Ma (Gatehouse et al.,

156 1995; Marshall, 2013) and higher heat production values (ca. 7 to 9.7 μ Wm⁻³) (Middleton,

157 1979). East of the Oztemp anomaly, in the Roma Shelf area (north and south of Roma, Figs.

158 1b and 1c) intrusive rocks are extensive below the sedimentary cover. These are known as the

- 159 'Roma Granites' and have emplacement ages ranging from 320 to 350 Ma (Murray, 1994)
- 160 but lack the geochemical data needed to calculate heat production values.
- 161

162 High thermal resistance due to thick and/or low conductive sedimentary blanketing can effectively trap heat (e.g., thick formations enriched in low conductive materials like coal and 163 164 shale) (Mildren and Sandiford, 1995), and is thus another key parameter for EGS exploration. 165 In central western Queensland, episodes of repeated basin subsidence and sediment accumulation have occurred since the early Paleozoic, resulting in a series of stacked basins 166 167 (Fig. 3) and sediment thicknesses up to 4 km (Fig. 1d) (e.g., west of Bayrick and beneath the 168 Cooper Basin). Major basin systems include: 1) the Devonian Adavale Basin, Warrabin 169 Trough and Barrolka Trough; 2) the Late Devonian-Early Carboniferous Drummond Basin; 170 3) the mid Carboniferous to mid Triassic Galilee Basin; 4) the early Permian to mid Triassic 171 Cooper Basin; and 5) the very extensive Jurassic to Cretaceous Eromanga and Surat basins, 172 components of the Great Australian Superbasin (Cook et al., 2013).

173

174 **3. Methodology**

175 **3.1. Approach and Limits**

To re-evaluate the geothermal potential in western Queensland, heat transfer mechanisms 176 177 across the intersected formations must be evaluated. Most geothermal studies assessing 178 surface heat flow assume dominantly vertical conduction (Ricard and Chanu, 2013 and 179 references therein), and in this study, we have adopted this assumption. However, if thick, 180 permeable sedimentary sequences are present, advection and convection can affect heat 181 transfer in the continental crust significantly, as shown for example, in the Perth Basin, WA (Sheldon et al., 2012; Schilling et al., 2013). Previous studies have used a wide range of 182 183 methods to estimate heat flow, depending on the quality, quantity and type of data available. 184 These include methods based on thermal conductivity and temperature gradient 185 measurements (for a review, see Beardsmore and Cull, 2001). While the most direct methods 186 to determine the surface heat flow are based on the product of thermal conductivity and 187 temperature gradient, other methods such as inversion methods, assume a set of thermal 188 conductivity characteristics and determine a heat flow value to minimise error between the 189 modelled and observed temperature profiles (Matthews, 2009; Kirkby and Gerner, 2010; 190 Korsch et al., 2011). In this study we use this latter approach.

- 191 We used 163 wells in the study area (ca. 1300 km x 850 km; Fig.1d), in which temperature,
- 192 thermal conductivity and heat production data were recorded (refer to Section 3.2 for details).
- 193 For these wells a conductive temperature profile was calculated to best fit the observed
- 194 temperature measurements, using a one-dimensional inversion model. Subsequently, the
- 195 temperature was extrapolated to a depth of 5 km as detailed in Appendix A. Table 1 provides
- 196 the list of parameters used in the thermal modelling.
- 197 Wells were selected according to the following criteria: 1) geographical location to provide
- 198 sufficient spatial coverage for data interpolation maps; and 2) quantity and quality of
- 199 available information; lithologic descriptions and reliable temperature measurements (e.g.,
- 200 Horner plots and/or including drill stem tests).
- 201

202 **3.2. Input parameters**

203 **3.2.1. Stratigraphy**

The stratigraphy of the basins must be taken into account for determining the material properties of intersected sedimentary formations. The stratigraphy for each well was established using the most recent stratigraphic constraints (Cook et al., 2013; Fergusson and Henderson, 2013; Withnall and Hutton, 2013), information from well completion reports and an unpublished compiled database from the Geological Survey of Queensland. The general stratigraphy for each basin is reported in Table 2. Additional details for each well are available in Supplement 1 (also publically available at http://eprints.qut.edu.au/63373/).

211 **3.2.2. Thermal conductivities**

- 212 Surface heat flow is a function of thermal conductivity (Fourier, 1822). Thermal conductivity
- of a rock depends on several physical parameters such as lithology, porosity, pore fluids,
- temperature, the nature and proportion of its constituents and its microstructure (for a review,
- see Clauser and Huenges, 1995). The general range of thermal conductivities for geomaterials
- 216 covers about one order of magnitude, with values from ca. $0.2 \text{ Wm}^{-1}\text{K}^{-1}$ for coal, to ca. 5.5
- 217 Wm⁻¹K⁻¹ for dolomite and quartzite (Beardsmore and Cull, 2001). Porosity can have a strong
- 218 control on the thermal conductivity of a sedimentary formation, with values ranging from ca.
- 219 2.3 to 6 $\text{Wm}^{-1}\text{K}^{-1}$ in sandstone, for > 25% and 0% porosity, respectively (Gallagher, 1987).
- 220 The effect of temperature on thermal conductivity is relevant in areas where the temperature
- varies significantly (for most crystalline rocks, a decrease of ca. 10 to 50% occurs from 0°C
- to about 300°C, Seipold 1998). Lithology, porosity and temperature should therefore be taken
- into account when estimating thermal conductivity for thermal modelling.

224 To limit the uncertainty of thermal conductivity for a particular formation, thermal 225 conductivity measurements of representative samples are desirable. In general, thermal 226 conductivity measurements are preferred within single wells to determine the surface heat 227 flow. Samples are selected for different lithologies within the section and used in association 228 with knowledge of the relative percentage of those lithologies. However, the selection of a 229 representative sample can be difficult due to large vertical lithological variations within some 230 formations, and because not all lithologies within a formation have always been sampled 231 (Meixner et al., 2012). A review of publically available data for the studied area indicates a 232 generally large standard deviation for the measured thermal conductivity (Table 2). For 233 example, among 25 measured average thermal conductivity values, 9 have a relative standard 234 deviation > 30%, with a maximum of 64 % for the Early Permian Epsilon Formation (Cooper 235 Basin). Additionally, thermal conductivity measurements are not available for all sedimentary 236 formations encountered in SW Queensland. Available thermal conductivity measurements are 237 concentrated for formations within the Eromanga and Cooper basins, but data are sparse for 238 the Surat basin, and none have been reported from the Galilee, Drummond, Adavale and 239 Georgina basins. The available measurements are thus not necessarily representative 240 (Meixner et al., 2012).

241 Our study is at a regional scale and therefore it is desirable to use representative 242 thermal conductivities for each formation. Thermal conductivities were estimated for all 243 formations encountered in this study, using an average thermal conductivity for a particular 244 lithology, correcting for porosity and saturation when information is available and also 245 correcting for temperature. Methods to estimate the average thermal conductivity of a 246 formation include the use of: 1) geophysical logs (Goutorbe et al., 2006); 2) a compaction 247 model based on the concept of loss of porosity with depth (Yorath and Hyndman, 1983); and 248 3) lithologic descriptions and applying corrections for temperature, porosity and the nature of 249 the saturants (Beardsmore, 2004). In this study, we used the approach of Beardsmore (2004). 250 To account for lithologic variations within a sedimentary formation, detailed lithologic 251 descriptions (based on reports of ditch cutting and core compositions) for three wells were 252 used to estimate an arithmetic mean thermal conductivity (i.e., an upper-bound estimate, e.g., 253 Maze and Wagner 2009) and a standard deviation. For formations where lithologic 254 proportions where reported in comparative terms, we used the following to convert to 255 percentage: "dominant" = 80%; "minor" = 20%; "occasional" or "grading" or "contains" = 10%; "very minor" = 5%, "rare" or "traces" = 1% and "interbedded" = equal proportions 256 257 (Beardsmore, 2004). The effect of porosity and volumetric percentage of the nature of the

saturants (oil, gas, of water) on the bulk thermal conductivity, when available, were correctedusing the geometric mean model (Eq. (1); Gallagher, 1987).

260
$$K_b = (K_m)^{1-\emptyset} (K_s)^{\emptyset} \text{Eq. (1)},$$

where K_b is the bulk thermal conductivity, K_m the matrix conductivity and \emptyset is the porosity. The matrix conductivities were taken from (Beardsmore 2001). In cases where no porosity information was available, the thermal conductivity was estimated using average lithologic values (Beardsmore and Cull, 2001). Where the nature of the saturants was unknown, the formations were assumed to be 100% water saturated.

266 Once a mean thermal conductivity was estimated for a formation, it was subsequently 267 corrected for temperature. Several empirical relationships have been proposed for the 268 temperature dependence of thermal conductivity (for a review, see Clauser and Huenges, 269 1995). The empirical relationship proposed by Birch and Clark (1940) was successfully 270 tested by Sass et al. (1992) on an independent dataset. This correction was adopted here:

271
$$K(T) = \frac{K(0)}{1.007 + T \left(0.0036 - \frac{0.0072}{K(0)}\right)}$$
Eq. (2),

272 where:
$$K(0) = K(25) \left[1.007 + 25 \left(0.0037 - \frac{0.0074}{K(25)} \right) \right]$$

273

The temperature (T) for the mean depth of the sedimentary formation interval was
determined by linear interpolation of all reliable temperature measurements from each well.
Further details on the estimation of thermal conductivities are available in Supplements 1 and
2 (also publically available at http://eprints.qut.edu.au/63373/).

278

279 Eight new thermal conductivity measurements on granitic rock sampled from drill cores were 280 performed for this study and are reported in Table 3 and discussed in Section 4.2. For each 281 sample, two or three thermal conductivity measurements were undertaken at room 282 temperature (25°C) along the core axis of each sample using a steady state divided bar 283 apparatus. The instrument was calibrated for the range of thermal conductivity 0.4-12 Wm⁻ 1 K⁻¹. Three cylindrical specimens (each specimen 1/3 to 1/2 its diameter in thickness) of each 284 285 granitic sample were cut, ground flat and polished to a standardized flatness and grit (except 286 for the TEP Jandowae West 1 sample, from which only two specimens could be prepared). 287 The specimens were evacuated under vacuum for a minimum of three hours, then submerged 288 in water and subsequently returned to atmospheric pressure. Water saturation continued under

- atmospheric pressure for a minimum of sixteen hours prior to the conductivity measurement.
- 290 Thermal conductivity measurements reported in Table 3 correspond to the harmonic mean
- 291 (i.e., the lower-bound estimate) and standard deviation of the analyses performed on the 2-3
- 292 measurements. Granitic intrusions in the study area rarely display the same degree of vertical
- 293 lithologic variation as sedimentary units. They are typically more homogeneous with depth,
- and thus thermal conductivity measurements of the granitic bodies are considered regionally
- 295 representative.
- 296

3.2.3. Temperature

Fourier's first law (1822) shows that heat flow depends as much on the geothermal gradient

as thermal conductivity. Temperatures recorded by the petroleum industry are usually of two

- 300 types: Bottom Hole Temperature measurements (BHTs) acquired near the bottom of the hole
- 301 during geophysical logging, and temperature of the reservoir fluids measured during Drill
- 302 Stem Tests (DST).
- 303 It is well recognised that BHTs are recorded under transient thermal conditions. BHTs are
- 304 primarily affected by the cooling effect of the circulating drilling fluids and thus generally
- 305 underestimate the true formation temperature by ca. 10°C (Goutorbe et al., 2007). To
- 306 estimate the true formation temperature, a wide-range of corrections have been proposed (for
- 307 review, see Goutorbe et al., 2007). The Horner correction method is the most utilised
- 308 technique (Kutasov and Eppelbaum, 2009 and references therein) and has been adopted here
- 309 to correct BHT measurements in the study area. The Horner correction method requires the
- 310 use of at least two, but ideally three or more, BHT measurements at similar depth and
- 311 different shut-in times, i.e., at a different time after the circulation of the fluids. A summary
- 312 of this method is available from Chapman et al. (1984).
- 313 DST temperatures are generally more reliable, less variable and require no specific correction
- 314 (Förster et al., 1997). DSTs record the temperature of the fluids extracted from the walls of
- 315 the borehole. They are considered to be at equilibrium with the surrounding rocks and
- 316 represent true formation temperatures (Förster et al., 1997).
- 317 The available subsurface temperature measurements in SW Queensland have been compiled
- into the single Oztemp dataset (Holgate and Gerner, 2011). Overall, the spatial distribution of
- 319 the data is not homogeneous and the quality of individual data points is not always high. The
- 320 number of temperature measurements within individual boreholes is generally very limited
- 321 with only 383 wells amongst 5442 wells in Australia having more than two reliable
- 322 temperature measurements at depth (>1 km). Additionally, the quality of the data is yet to be

323 fully evaluated (Meixner et al., 2012). We compared the Oztemp dataset with individual well completion reports and identified discrepancies in temperature data (e.g., measured 324 325 temperature and/or depth of measured temperature, or data not recorded) for ten wells among 326 the 163 wells studied (Table 5). Such errors can be significant, and for CON Lynwood 1 327 (25°35'25''E and 143°31'36''E), a difference of 31°C/km in the calculated average thermal 328 gradient was discovered (70°C/km using Oztemp data versus 39°C/km from data in the well completion report). To ensure data quality, each temperature datum used in this study was 329 330 systematically cross-checked against the well completion reports. Generally, several 331 temperature measurements are available at different depths and are used to predict the 'best-332 fit' temperature profile. In total, for the 163 wells, 464 temperature measurements were used 333 for thermal modelling. These are listed in Supplement 2 (also publically available at 334 http://eprints.qut.edu.au/63373/). Amongst the 163 wells, 75 wells have both DST and 335 Horner-corrected data, 33 wells have DST, 50 have Horner data, 4 are uncorrected BHT and 336 1 is unknown.

The mean surface temperature in the area is considered to be homogeneous at 25°C, consistent with a previous study of the thermal state of the Cooper Basin (Beardsmore, 2004). The impact of variation in mean surface temperature on the predicted temperature at 5 km depth was tested with the stochastic approach. The estimated temperature at 5 km depth only varied by 1°C for a 13°C change at the surface.

342

343 **3.2.4. Heat Production**

- Heat production rates for basement granites was estimated from the concentration of U (C_U), Th (C_{Th}) and K (C_{K2O}) and a density, ρ , of 2.65 g/cm³ using the equation of Rybach and Buntebarth (1981):
- 347 $A = 10^{-5} \rho \left(9.52 C_U + 2.56 C_{Th} + 3.48 C_{K_2 0}\right) \text{Eq. (3)}.$
- Heat production of each sedimentary formation was considered constant with a value of 1.87 μ Wm⁻³, based on average U, Th and K concentrations from Kamber et al. (2005) (Table 4). This value was determined for the volcanogenic Rolling Downs Group of the GAB and may only be applicable to this particular rock suite. However, previous studies have also used values of this order for sedimentary rocks. For example, in Queensland a value of 1 μ Wm⁻³ was used for sedimentary rocks in the Millungera and Eromanga basin (Korsch et al., 2011),
- and 1.2 and 1.4 μ Wm⁻³ for the Eromanga and Cooper basins, respectively (Meixner et al.,

- 355 2012). The adopted value of 1.87 μ Wm⁻³ represents an upper-bound estimate and thus leads 356 to a more conservative estimate of heat flow contributed by radiogenic granitic rock.
- 357 Concentrations of U, Th and K for ten intersected granitic rocks are available from Champion
- et al. (2007) and the late BW Chappell (unpublished data). They indicate heat production
- values are low, ranging from 1.8 to 4.2 μ Wm⁻³. Our new measurements (Table 4) on an
- 360 additional 8 samples confirm a low to medium heat production capacity of intersected
- 361 granitic rocks in SW Queensland.
- 362 Where available, we applied measured values for granite heat production. Otherwise a heat
- 363 production value of 2.5 μ Wm⁻³ was used, as estimated by Meixner et al. (2012) using
- 364 available whole-rock chemistry of Australian granites (Champion et al., 2007). Heat
- 365 production for other types of basement rocks was considered to be 1.7 μ Wm⁻³(Meixner et al.,
- 366 2012), using global upper crustal averages of U, Th and K concentrations (Rudnick and Gao,
- 367 2003).

368 **3.3. Stochastic Approach**

- 369 Measured or estimated values of thermal conductivity, temperature and heat production are 370 affected by a wide range of parameters, the poor knowledge of which limits the capability of 371 determining accurate values of heat flow. Moreover, insufficient sampling across the regional 372 study area imposes a fundamental uncertainty of material properties and temperature data. It 373 is therefore important to consider the impact of variance in these parameters on the 374 uncertainty of the calculated heat flow and extrapolated temperature at 5 km depth (Fig. 4). 375 Previous geothermal studies have used a stochastic or Monte-Carlo approach to characterise 376 the uncertainty of the calculated output (e.g., Srivastava and Singh, 1999; Ferrero and 377 Gallagher, 2002; Srivastava, 2005; Meixner et al., 2012). The value of such approaches has 378 been pointed out by Korsch et al. (2011) who modelled heat flow in the Millungera basin using nine different scenarios. The calculated heat flow varied by up to 20 mWm⁻². This large 379 380 uncertainty associated with the estimation of thermal conductivity and the type of 381 temperature correction justifies the use of a Monte-Carlo approach, which has been adopted 382 here.
- We consider the following parameters as the main sources for the uncertainty in our temperature estimates: thermal conductivity, volumetric heat production and temperature measurements. These parameters were perturbed in our models according to a specific probability density function. For each well, 1000 realisations with randomly perturbed input parameters were calculated. For temperature and heat production, a normal distribution was

employed with a standard deviation of 1.5° C and 0.5μ Wm⁻³, respectively (Fig. 4). The 388 temperature and heat production estimates obtained from the wells and the laboratory were 389 390 used as means (Supplement 2; also publically available at http://eprints.gut.edu.au/63373/). 391 The probability distribution used for the thermal conductivity is assumed to be lognormal as 392 suggested by the compilation of existing thermal conductivity data (Meixner et al., 2012). 393 The mean and standard deviation for the lognormal distribution of thermal conductivities are 394 those that have been estimated and reported in Table 2. For the global model, all three 395 parameters (heat production, thermal conductivity and temperature) are perturbed.

The uncertainty of which of the three parameters or their combinations has the largest effect on heat flow estimates was also examined. To this end, a well with particularly wellconstrained temperature measurements (DIO Macadama 1) was chosen. Simulations of all 8 possible permutations of keeping none, one, or more parameters fixed while perturbing the others were run. The results are presented and discussed in Section 4.4.

401

402 **3.4. Interpolation techniques**

For visualisation of the results on a map (Figs. 6, 7 and 8a) we used Inverse Distance
Weighting (IDW) for interpolation. More sophisticated interpolation methods such as Kriging
require that the data are normally distributed (which is not the case here), and are thus not
applicable. However, it must be noted that interpolations do not represent geostatistically
thorough predictions. The data used for interpolation can be found in Supplement 3 (also
publically available at http://eprints.qut.edu.au/63373/).

409

410 **4. Results**

- 411 The results of the stochastic thermal model, i.e., temperature and heat flow estimates at 5 km
- 412 depth can be found in Supplement 3 (also publically available at
- 413 http://eprints.qut.edu.au/63373/).

414 **4.1. Heat production**

- 415 The intrusive rocks sampled in this study range from leucocratic monzogranite to tonalite and
- 416 monzodiorite and include both S-type and I-type compositions (Table 3). Heat production
- 417 values estimated for these rocks range from 0.75 to 4.87 μ Wm⁻³. Granite in TEP Jandowae
- 418 West 1, located close to Brisbane and well east of the temperature anomaly has the lowest
- 419 heat production value while granite intersected in PGA Bradley 1, located outside the Oztemp

- anomaly to the west has the highest value. Most granitic rocks analysed here have heat
 production values greater than the upper continental crust. However, this enrichment is
 significantly lower than that observed for the Big Lake Suite granodiorite (Table 4) and
 confirms the lack of HHPG intersected in drill cores across the Oztemp anomaly area.
- 424

425 **4.2. Thermal conductivity measurements**

- 426 New thermal conductivity measurements on eight granitic samples range from 2.5 to 3.7 Wm⁻ ${}^{1}K^{-1}$ and are within the range of published values for similar granite lithologies (Zoth and 427 428 Haenel, 1988). Granitic rocks generally exhibit low porosities (Clauser and Huenges, 1995); 429 therefore, the variation of thermal conductivity mainly depends on mineralogy. The low bulk thermal conductivity (2.5 $\text{Wm}^{-1}\text{K}^{-1}$) of this monzodiorite intrusion (TEP Jandowae West 1) is 430 explained by the high abundance of plagioclase (45 vol%), a low conductivity phase (ca. 2.1 431 $Wm^{-1}K^{-1}$), and the low abundance of highly conductive quartz (10 vol%; > 6 $Wm^{-1}K^{-1}$) 432 (Table 3) (Clauser and Huenges, 1995). 433
- 434

435 **4.3. Stochastic modelling: the effect of input parameter on uncertainty**

Eight simulations were undertaken to examine the influence of input parameters on the 436 437 calculated heat flow and temperature at 5 km depth (Fig. 5). We picked DIO Macadama 1 as 438 an example because it provides the best temperature constraints. The eight simulations 439 represent all possible permutations of perturbed versus fixed input parameters. Simulations 1, 4, 6 and 8 all include thermal conductivity as a variable parameter. These simulations display 440 a wide range of uncertainty (up to 25 mWm⁻² and 20°C) suggesting that thermal conductivity 441 has the strongest influence on estimated heat flow and temperature, in agreement with 442 443 Meixner et al. (2012). Simulations 2, 3, 5 and 7, for which thermal conductivity is fixed, exhibit small variability of less than 5 mWm⁻² and 5°C at 5 km depth, and a higher median 444 than simulations 1,4, 6 and 8. The differences in median heat flow and median temperature 445 between those two groups of simulations are up to 10-15 mWm⁻² and 5°C, respectively. 446 447 Thermal conductivity is thus a crucial parameter that should be carefully constrained to 448 minimise the uncertainty of heat flow and deep temperature determination.

449

450 **4.4. Stochastic modelling: the effect of the perturbation distribution**

451 The stochastic model discussed in Section 4.3 suggests that the predicted temperatures and 452 heat flows at 5 km depth vary widely depending on the thermal conductivity data (Fig. 5). 453 The question arises as to which degree the choice of the perturbation distribution for thermal 454 conductivity affects the model predictions? In the simulations described below, a lognormal 455 distribution based on the statistical evaluation of existing material data for the region 456 (Meixner et al., 2012) was employed. To obtain a conservative estimate of the impact of the 457 choice of perturbation function, a simulation in which a uniform probability distribution with bounds of 0.1 to 5 $\text{Wm}^{-1}\text{K}^{-1}$ was used. This is equivalent to assuming that no a-priori 458 459 knowledge of thermal conductivity exists except for lower and upper bounds. 1000 model 460 realisations were run keeping temperature and heat production fixed because these two 461 parameters have a negligible effect on the results. The results are illustrated in Figures 6g and 462 6h. They indicate an uncertainty of ca. $\pm 20\%$ for temperature estimation at 5 km depth and a significantly underestimated heat flow (ca. -40%) using a uniform distribution of thermal 463 464 conductivity and fixing the other parameters. However, this result is unlikely to represent the 465 natural case because material properties with lower and upper bounds thermal conductivity 466 values are rare. Our a-priori knowledge of thermal conductivities is therefore useful and must 467 be considered in any quantitative heat flow determinations. It is also interesting to note that 468 the strong SW-NE trend of lower heat flow is reproduced (see Fig. 6h). 469

470 **4.5. New temperature and heat flow map at 5 km depth**

The new predicted temperature map for 5 km depth (Fig.6a) has significant differences
compared to the Oztemp temperature map of Gerner and Holgate (2010). The regional extent
of the Oztemp anomaly is much smaller with a prominent SW-NE trend of elevated
temperatures (200-250°C) (Fig. 6a). Only scattered anomalous temperatures are now
predicted north of the Roma Shelf and in the Georgina Basin.

A lower heat flow zone (Fig. 6b) with values ranging from 80 to 100 mWm⁻² is observed between domains with heat flow > 100 mWm⁻² and is oriented along a SW-NE trend. This trend parallels, and is adjacent to, the high temperature trend described above. While the data points are clustered along this trend, the contouring SW-NE pattern persists when interpolating more evenly distributed data points over a smaller area (25°20'0''E -27°10'0''E and 141°2'0''E - 144°2'0''E), Therefore the contouring trends are not directly affected by the distribution of the data points.

- 483 First quartile and third quartile maps, which correspond to 25% and 75% cumulative
- 484 probability, respectively, (Figs 6c to 6f) are very similar in terms of spatial distribution,
- 485 confirming the SW-NE trend. The quartile maps provide an upper and lower bound for the
- 486 estimated temperature and heat flow at 5 km depth, indicating an uncertainty due to material
- 487 properties of ca. $\pm 10\%$ for both parameters. Globally, areas with elevated heat flow at 5 km
- 488 depth are also characterised by high temperature at 5 km depth. An exception occurs towards
- 489 the Galilee Basin (Figs. 3, 6a and 6b) where heat flow is high (ca. 100 mWm^{-2}) and
- 490 temperatures generally lower (three temperature measurements below 170°C). Such
- 491 differences may result from changes in the thermal conductivity of the sedimentary cover,
- 492 with higher thermal conductivities (e.g., average sedimentary pile conductivity > 2.75 Wm⁻
- 493 1 K⁻¹) towards the Galilee Basin (Fig. 7).
- 494

495 **5. Discussion**

496 Several key points should be addressed when interpreting the data and their implications as

497 well as model limitations. First, the validity of the model assumptions is examined.

498 Subsequently, top down and bottom up effects, which may cause high heat flow, are

discussed, followed by the spatial heat flow distribution and trends.

500

501 5.1. Validity of modelling assumption: Convection, Advection or Transient Heat 502 Transfer

503 Poor agreement between observed temperature profiles and those predicted from 1D 504 conductive heat flow models may indicate non-conductive heat transfer (e.g., Reid et al., 505 2012), such as convection, and/or advection, or transient heat transfer, or geometrical effects 506 due to, for example, significant lateral gradients of topography, formation thickness, and 507 material properties. Our results indicate that the mean temperature error is generally low (\leq 508 10° C, and in > 50% of the map, it is < 5°C, Figs.8a and 8b). In other words, the model error 509 is on the order of the uncertainty imposed by poorly constrained material properties and that 510 of the actual down-hole temperature measurements. Mean errors between 10 and 23°C occur 511 only locally and may indicate areas that should be reassessed for their thermal transport 512 processes. However, we conclude that 1D steady state conduction generally predicts the 513 temperature data well at the regional scale (Figs.8a and 8b). 514

515 **5.2. Top down effects: Sedimentary blanketing**

- 516 Poorly conducting formations may trap heat by thermal refraction (e.g., Mildren and
- 517 Sandiford, 1995). Fourier's law of heat conduction (1822) indicates a linear correlation
- 518 between the geothermal gradient and the inverse of thermal conductivity:

519 $\frac{dT}{dz} = \frac{Q}{K} \operatorname{Eq.} (4).$

520 Therefore, one may expect to observe a positive correlation between the inverse of the mean 521 thermal conductivity of the sedimentary cover and the predicted geothermal gradient. In our 522 data, the coefficient of correlation is low (0.36) assuming a linear correlation. Similarly, no 523 correlation between high temperature areas and total thickness of sediments is identified 524 (correlation coefficient is 0.17). Our results suggest that high temperature areas are not 525 associated with areas of low conductivity (Fig. 9) and thus sedimentary blanketing is not the 526 cause of the elevated temperatures, at least not at the regional scale. This finding concurs 527 with the study of Meixner et al. (2012) in the Cooper Basin, where elevated crustal or mantle 528 inputs are required to explain observed temperatures.

529

530 **5.3. Bottom up effects: Mantle versus Crustal Inputs**

531 In the previous sections, convective, advective or transient heat transfer, and sedimentary 532 blanketing have been ruled out as major contributors to elevated temperatures in SW 533 Queensland. Consequently, a higher thermal input from depth is required, as suggested by 534 Meixner et al. (2012). Mantle heat flow and radiogenic heat production of rocks below 5 km 535 contribute to heat flow at 5 km depth. It is difficult to distinguish between mantle and crustal 536 input if no independent constraints on either quantity are available. Mantle heat flow can be 537 estimated through pressure-temperature estimates from xenoliths, which provide the 538 geothermal gradient, and assuming a thermal conductivity for the mantle (e.g., peridotite). Alternatively, if the crustal structure and heat production of constituent rocks are known, the 539 540 crustal contribution to heat flow at 5 km depth can be calculated (Perry et al., 2006). Since 541 the estimated heat flow at 5 km depth is the sum of mantle and crustal contribution, one can 542 be computed, if the other is known:

543 $Q_{5km} = Q_M + A_{ave} (z_M - z_{5km})$ Eq. (5),

544 where Q_{5km} is the heat flow at 5 km depth, Q_M is the mantle heat flow, z_{5km} is 5 km depth, z_M

545 is the depth of the Moho and A_{ave} is the average radiogenic heat production between the 546 Moho and z_{5km} .

656 Appendix A – Theoretical Approach

Our approach follows a modified version of Chapman (1986), with a different choice of 657 658 boundary conditions. Like Chapman (1986), we assume a thermal steady state and treat each 659 well as a 1D multi-layer diffusion problem. In the study area, most temperature data are located at a depth > 1 km, with very few data towards the surface of the Earth. We judge that 660 661 the deeper temperature data are more reliable than the estimated surface temperature. 662 Therefore, we calculate the temperature profiles stepwise from bottom to top rather than top to bottom as in Chapman (1986). Constant material properties are assumed in each layer. The 663 664 only source term is radiogenic heat production. Conductive heat transfer through a single 665 layer with a constant source term is described by the following ordinary differential equation (Chapman, 1986), also called Poisson's equation: 666

667 $K \frac{d^2 T}{dz^2} = -A$ [A.1],

668 where K is the thermal conductivity $[Wm^{-1}K^{-1}]$, T is the temperature [°C], z denotes depth

[m], and A is the volumetric heat production (μ Wm⁻³). Integrating Eq. (A.1) twice yields the

671
$$KT(z) = -\frac{1}{2}Az^2 + zC_1 + C_2$$
 [A.2],

- 672 where C_1 and C_2 denote the integration constants. Because heat production is constant in the 673 layer under consideration, the constants of this 1D equation can be solved for with the
- 674 following boundary conditions:

$$675 \qquad Q(z=z_B) = Q_B$$

676
$$T(z=z_B) = T_B$$
 [A.3],

- 677 where z_B denotes the vertical position of the layer bottom, Q_B is heat flow at the layer bottom,
- and T_B is temperature at the bottom. Thus, the temperature profile in the layer is:

679
$$T(z) = -\frac{A}{2K}(z^2 + z_B^2) + z\frac{Q_B + Az_B}{K} + T_B - \frac{z_B Q_B}{K}$$
 [A.4].

- 680 The temperature profile through a multi-layer stack can now be computed easily by a
- piecewise (i.e., layer by layer) upward propagation of Eq. (A.4) with updated material
- properties and bottom temperature as well as heat flow. In other words, the temperature and
- heat flow at a layer interface are calculated for the lower layer with Eq. (A.4.) They serve as
- 684 starting parameters for the temperature profile in the overlying layer, which is also calculated
- 685 with Eq. (A.4) using updated material properties. This procedure requires that the
- temperature and heat flow at the bottom (or top) of the stack are known.

547 Constraints on the crustal structure in the study area are limited to deep crustal 548 seismic transects including the Brisbane-Eromanga transect (Fig. 2) and for depths less than 549 ca. 3 to 4 km by drill holes interception that penetrate the basement. The distribution of U, Th 550 and K within the crust of the study area is largely unknown. Pressure and temperature 551 information from young xenoliths are only available along the Eastern seaboard (O'Reilly and 552 Griffin, 1990). Thus, available information to constrain the mantle heat flow across the 553 temperature anomaly is very limited. The only estimated values for the mantle heat flow are located in South Australia and range from 25 to 29.5 mWm⁻² (Neumann et al., 2000; 554 McLaren et al., 2003; Meixner et al., 2012). Nevertheless, one can narrow down the possible 555 556 range of mantle and crustal contributions to heat flow at 5 km depth by comparing Q_{5km} 557 predicted by our stochastic approach to standard crustal and mantle heat flow values.

558 The depth of the Moho is well-established from the Brisbane-Eromanga seismic 559 transect at ca. 40 km (Finlayson et al., 1990). Using eq. (4), we can determine the average 560 crustal heat production required to match the interpreted heat flow at 5 km depth (Q_{5km}) given 561 a particular mantle heat flow (Fig. 10).

The SW corner of Queensland is characterised by heat flow generally greater than 100 mWm⁻² (Fig. 6b). Using Figure 10 and considering a mantle heat flow of 27 mWm⁻² (Neumann et al., 2000; McLaren et al., 2003; Meixner et al., 2012), the average heat production between 5 and 40 km is much higher than crustal standards (e.g., ca. 2.1 to 3.3 μ Wm⁻³ compared to 0.87 and 1.65 μ Wm⁻³ for the average and upper continental crust, respectively; Fig. 10) suggesting that higher radiogenic crustal input is required.

568 It has recently been suggested that this region is characterised by a higher mantle heat 569 flow, based on He isotope analyses of artesian water (Uysal et al., 2012). We can evaluate the 570 mantle heat contribution by considering an extreme situation or environment such as a hot 571 spot where mantle heat flow is expected to be the main contributor to the measured surface heat flow. Across the Hawaiian, hot spot for example, surface heat flow does not exceed 65 572 mWm⁻² (Stein and Stein, 1993). Using this value as the mantle heat flow still requires higher 573 574 than average crustal heat production values in the 5 to 40 km interval (e.g., ca. 1 to $2.2 \,\mu\text{Wm}^{-1}$ 3 versus 0.87 μ Wm⁻³ for the average continental crust) (Fig. 10). In addition, such high 575 mantle heat flow would result in Moho temperatures in excess of 1000°C, which would lead 576 577 to substantial melting of the lower crust (e.g., Thompson and Connolly, 1995) and drastic 578 mechanical consequences. It is also inconsistent with Mareschal and Jaupart's (2012) recent

global analysis of the thermal regime of the continents, which predicts maximum Moho
temperatures on the order of 800°C for crust of 40 km thickness.

The lower crust in the western part of the Eromanga transect is interpreted to be silicic (O'Reilly and Griffin, 1990). It is well recognised that silicic rocks have higher heat producing capacity than mafic rocks (Turcotte and Schubert, 2002). Consequently, our finding contradicts models that propose SW Queensland and the Thomson Orogen are underlain by oceanic crust (Harrington, 1974; Glen et al., 2013). We alternatively conclude that areas of high crustal temperature in SW Queensland require a silicic lower to middle crust located between 5 and 40 km depth and relatively enriched in heat producing elements.

588 It is well accepted that heat production becomes more depleted in the lower crust as a 589 result of chemical differentiation of the continental crust through granitic magmatism (e.g., 590 Taylor and McLennan, 1995; Rudnick and Gao, 2003; Hawkesworth and Kemp, 2006). 591 Accordingly, models proposing an exponential decrease of heat production with depth 592 (Lachenbruch, 1968) are sometimes invoked. These simple models are, however, in 593 contradiction with heat production studies of drilled or exposed crustal profiles. Geochemical 594 and geobarometric data indicate an exponential decrease of heat production with depth is 595 rarely, if ever, valid, with high heat producing material often occurring at greater depth 596 (Ashwal et al., 1987; Hart et al., 1990; Clauser et al., 1997; Brady et al., 2006; He et al., 597 2008). Such a crustal profile is exposed in the Arunta and Musgrave Inliers of central 598 Australia where high heat producing material, characterized by the Mesoproterozoic Teapot Granite Complex (5.9 +/-1.7 μ Wm⁻³), is abundant between pre-exhumation depths of 6 to 10 599 600 km (Sandiford et al., 2001). The deformation of Proterozoic crust during the Petermann and 601 the Alice Springs orogenies (Sandiford et al., 2001) have led to exhumed blocks in the 602 Musgrave and Arunta Inlier, and to buried and thrust downwards crustal material. Such high 603 heat producing crustal material may therefore extend in the subsurface beneath the Thomson 604 orogen at depth >5 km and is thus a likely candidate to explain the silicic and heat producing 605 crust the model indicates.

606

607 **5.4. SW-NE trend**

The predicted heat flow map at 5 km depth (Figs. 6b and 11a) indicates a narrow SW-NE trending zone of lower heat flow with values ranging from 80 to 100 mWm⁻². In response to the linear relationship between the average heat production at 5 to 40 km and heat flow (Eq. (5)), this trend also corresponds to heat production at 5 to 40 km that are lower than average. 612 This zone of lower heat flow seems to coincide remarkably well with structural trends 613 observed in seismic horizons (Fig. 11b) related to the top of the Cadna-Owie formation 614 (Radke, 2009) and to thick sedimentary cover (Fig. 3). Specifically, the low heat flow trend 615 corresponds to the Arraburry and Windorah troughs and the Ullenbury and Thomson 616 depressions (Fig. 2). A lower heat flow value in this area could result from localised lower 617 mantle heat flow or a local decrease in radiogenic heat production. The latter case would 618 occur if the depressions were related to a more mafic crust or to thinned continental crust. 619 The latter is consistent with the observed increase in sedimentary infill in the troughs. 620 Tectonic extension will reduce the vertical extent of crystalline basement, which is 621 potentially enriched in high heat producing elements, and thus the local crustal contribution 622 to heat flow.

623

624 **6. Conclusions**

625 This study has re-evaluated the geothermal potential in SW Queensland and has confirmed 626 the generally high subsurface temperatures observed in Oztemp. A new temperature map at 5 627 km depth reveals a strong SW-NE trend of elevated (200-250°C) temperatures. This study 628 has also investigated the geological controls on the elevated geothermal gradients using a 629 stochastic approach. Estimated temperature and heat flow at 5 km depth are most sensitive to 630 the thermal conductivity of the strata. A poor correlation between thickness and average 631 thermal conductivity of the sedimentary pile and estimated temperature at 5 km depth 632 suggests that thermal blanketing is not the sole cause of high geothermal gradients. In 633 addition, the small mean temperature errors between modelled and observed temperature profiles indicate that the assumption of steady state, purely conductive heat transfer may be 634 635 valid and that effects of advective, convective or transient heat transfer are likely to be minor 636 at the regional scale of this study.

637 Consequently, elevated subsurface temperatures must result from bottom up contributions. 638 Estimations of the relative contributions of mantle versus crustal heat input from below 5 km 639 depth suggest that the observed high geothermal gradients are unlikely to be generated by 640 elevated mantle heat flow alone. Consequently, we conclude that the crust between 5 and 40 641 km depth is relatively high heat producing in the region of anomalously high crustal 642 temperatures. Our study supports the existence of silicic continental lower to middle crust 643 enriched in heat producing elements beneath the region of elevated temperature and for much 644 of the Thomson orogen. A SW-NE trend of lower heat flow and inferred average heat

- 645 production through the study area correlates with structural trends and may relate to zones of
- 646 thinned continental crust and therefore lower total crustal heat production.
- 647

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- 655

- 687 In this study, we estimated the temperature T_T and heat flow Q_T at a depth of $z_T = 5$ km for 688 each well. No well in the study area has penetrated the crust to this depth, and the maximum 689 well depth is 3.9 km (PPC Lissoy 1). However, for each well, the number of intersected 690 formations and their respective thicknesses, conductivities and heat production rates are 691 known or can be estimated (see section 3.2 for discussion of material properties and their 692 derivation) to a certain depth $z_C < z_T$. Well logs also provide often sparse temperature 693 measurements, which provide an estimated true formation temperature when corrected (see 694 section 3.2.3 for a discussion of temperature methods and corrections). Assuming that the 695 material between the deepest observation in the well and z_T remains identical, T_T and Q_T can 696 be inverted by minimising the mean squared temperature error of the calculated temperature 697 profile (Fig. 2):
- 698 $\Delta \varepsilon = \sum_{i=1}^{N} \frac{(Ti-ti)^2}{N} \quad [A.5],$
- 699 where N denotes the number of actual temperature observations in the well, *Ti* is the 700 measured temperature at a given depth, and *ti* is the predicted temperature at that depth. For a 701 given Q_T , it is straightforward to calculate the best-fit T_T .
- Fig. (A.4) indicates that the choice of the initial T_B controls the position of the temperature profile (it is a simple summand) and thermal conductivity controls the shape of the temperature profile (it affects the slope of the linear part of Eq. (A.4)). A change of T_T would therefore simply shift the temperature profile by its magnitude along the temperature axis (Fig. A.1). Thus, T_T can be computed by minimising the mean squared temperature error (Fig. A.1):
- 708 $\Delta \varepsilon = \sum_{i=1}^{N} \frac{(Ti (ti + X))^2}{N} [A.6],$
- 709 and with $\Delta Ti = (Ti ti)$:

710
$$\Delta \varepsilon = X^2 - \frac{2}{N} X \sum_{i=1}^N \Delta T i + \frac{1}{N} \sum_{i=1}^N \Delta T i^2 [A.7].$$

- 711 Eq. (A.7) has the minimum:
- 712 $\Delta \varepsilon' = 2X \frac{2}{N} \sum_{i=1}^{N} \Delta T i = \mathbf{0} [A.8].$
- 713 Therefore, the following solution for T_T is obtained:

714
$$X = \sum_{i=1}^{N} \frac{\Delta T_i}{N}$$
 [A.9].

The minimised square temperature error can hence be expressed using Eq.(A.7) and (A.9):

716
$$\Delta \varepsilon = \sum_{i=1}^{N} \frac{(Ti - (ti + \sum_{i=1}^{N} \frac{\Delta Ti}{N}))^2}{N} [A.10].$$

717 This procedure requires that Q_T is known, which is not the case. Eq. (A.10) shows that $\Delta \varepsilon$ is a

718 quadratic function of Q_T :

719
$$f(Q_T) = \Delta \varepsilon = aQ_T^2 + bQ_T + c \text{ [A.11]}.$$

Given three points, $P_i(Q_{Ti}/\Delta\epsilon_i)$, the coefficients a, b and c of this quadratic function can be

- calculated empirically and the best fit Q_T determined by minimisation. Thus, both the best-fit
- temperature profile and the respective temperature and heat flow at 5 km depth are
- determined in a three step process for any given well: first, three arbitrary Q_T are assumed (0,
- 50, and 100 μ Wm⁻³). For each one, the corresponding best-fit T_T and its mean squared
- temperature error are calculated analytically with Eqs. (A.9) and (A.10). This yields the
- desired three pairs of Q_T and $\Delta \varepsilon$ data needed to calculate the coefficients of Eq. 11. The best-
- fit Q_T is simply the minimum of Eq. (A.11): $-b(2a)^{-1}$. In the third step, the corresponding T_T is
- 728 computed for the best-fit Q_T with Eq. (A.9).

729

731 **References**

732

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Symbol	Parameter
K	Thermal Conductivity [Wm ⁻¹ K ⁻¹]
А	Heat Production [µWm ⁻³]
Т	Temperature [°C]
T _B	Temperature at 5 km depth [°C]
Z	Depth [m]
ZB	Depth of the bottom of the layer [m]
ZT	Depth equivalent to 5 km [m]
C_1 and C_2	Constants derived from integration
Q	Heat Flow [mWm ⁻²]
Q _B	Heat flow at the bottom of the layer $[mWm^{-2}]$
QT	Heat flow at 5 km depth [mWm ⁻²]
Δε	Mean squared temperature error
Δε'	Derivative of the mean squared temperature error
$P_j(Q_{Tj}/\Delta \varepsilon_j)$	Point P ₁ with attribute Q_{T_1} and $\Delta \varepsilon_i$ used to determine coefficients of the quadratic function
N	Number of observed temperatures
Ti	Measured temperature at a given depth [°C]
ti	Predicted temperature at a given depth [°C]
T _T	Estimated temperature at 5 km depth [°C]
ΔTi	Difference between measured and predicted temperature at a given depth [°C]
Kb	Bulk thermal conductivity $[Wm^{-1}K^{-1}]$
Km	Matrix conductivity [Wm ⁻¹ K ⁻¹]
φ	Porosity [Vol. %]
K(25)	Thermal conductivity at 25° C [Wm ⁻¹ K ⁻¹]
T _{B∞}	True formation temperature [°C]
T _B (t)	temperature at the bottom of the hole at a particular time [°C]
t _c	circulation time [s]
te	time elapsed since the fluids circulated [s]
С	slope determined by the BHT measurements
Cu	Bulk rock concentration of Uranium [ppm]
C _{Th}	Bulk rock concentration of Thorium [ppm]
C _{K2O}	Bulk rock concentration of Potassium oxide [wt%]
ρ	Density [kgm ⁻³]

			Thickness			Measured			
Formation Name		Formation Age	All wells	This study (n*=163)	Estimated thermal conductivity (Wm ⁻¹ K ⁻¹)	n*	thermal conductivity (Wm ⁻¹ K ⁻¹) (RSD****)	n*	Thermal conductivity References
Surface Deposits Tertiary Volcanics		Quaternary Tertiary	-	2-247 10-44	2.30±2.00** 1.73±0.21***	-	-	-	-
Wint	on Formation	Late Cretaceous	16-1030	34-1166	2.78±0.22	3	1.48±0.06 (04)	2	b
Mach	kunda nation	Early Cretaceous	31-1030	34-257	2.90 ± 0.14	3	1.35±0.25 (19)	1	b
Allar	ru Mudstone	Early Cretaceous	2-453	31-360	2.52±0.51	3	1.39±0.32 (23)	10	a; b; d; f
Form	ebuc nation	Early Cretaceous	1-23	1-173	2.48±0.51	3	1.06±0.29 (27)	4	e; f
Form	ambilla nation	Early Cretaceous	0.1-1552	23-499	2.51±0.46	7	1.43±0.42 (29)	22	a; d; e; f
Cadr Form	na-Owie nation	Early Cretaceous	3-1090	26-267	3.03±0.33	4	1.86±0.23 (12)	6	a; b; c
Hoor	ay Sandstone	Late Jurassic-Early Cretaceous	13-462	38-211	3.10±0.42	4	2.59±0.74 (29)	2	e; d
West Form	tbourne nation	Late Jurassic	4-3273	3-382	3.31±0.66	7	2.92±0.91 (31)	10	b; c; e; d
Ador	ri Sandstone	Late Jurassic	2-126	5-119	3.48 ± 0.91	4	4.63±0.35 (8)	2	b
Birkl	head	Middle Jurassic	3-451	10-148	2.28±0.68	4	3.90±1.28 (33)	9	a; b
Hutte	on Sandstone	Middle Jurassic	1-680	11-294	3.27±0.46	7	4.67±0.83 (18)	14	a; b; c
Pool	owanna	Early Jurassic	4-371	10-220	3.28±0.55	3	3.94±2.11 (54)	4	b
Preci	ipice Istone	Early Jurassic	1-1447	4-122	3.94±1.38	3	-	-	-
Sura	t Basin								
Form	an Creek	Early Cretaceous	13-397	167-307	2.78 ± 0.22	3	-	-	-
Surat	t Siltstone	Early Cretaceous	14-391	97-155	2.90 ± 0.07	3	-	-	-
Walu Form	ambilla nation	Early Cretaceous	0.1-1552	23-499	2.51 ± 0.46	7	-	-	-
Bung	gil Formation	Early Cretaceous	1-702	35-287	3.25±0.29	3	-	-	-
Moo	ga Sandstone	Late Jurassic – Farly Cretaceous	5-902	33-310	3.33±0.29	3	-	-	-
Orall	lo Formation	Late Jurassic	4-385	101-266	3.40±0.18	3	1.99±0.16 (08)	7	e
Gubb	beramunda	Late Jurassic	7-488	35-259	3.65±0.06	3	2.58±0.17 (07)	1	e
West	tbourne	Late Jurassic	4-3273	3-382	3.05±0.24	7	-	-	-
Sprin	ngbok	Middle Jurassic	2-338	25-112	3.56±0.24	3	-	-	-
Sand Wall Meas	oon Coal	Middle Jurassic	31-861	114-446	2.82±0.16	3	-	-	-
Euro	mbah	Middle Iurassic	3-337	25-79	3 49+0 11	3	_		_
Form	nation on Sandstone	Middle Jurassic	1-680	11-294	3.49±0.11	7	4 67+0 83 (18)	14	ar br c
Ever	green	Wildele Julassie	1 000	11 274	5.50±0.21	,	4.07±0.05 (10)	14	u, 0, c
Form unit	nation – Upper	Early Jurassic	10-271	15-181	2.85±0.13	3	-	-	-
Boxv Ever	green	Early Jurassic	1-129	1-81	3.20±0.68	3	-	-	-
Formation – Lower		Early Jurassic	2-127	19-195	3.16±0.13	3	-	-	-
Preci Sand	ipice stone per Basin	Late Triassic – Early Jurassic	1-1447	4-122	3.94±1.38	3	-	-	-
Napr	amerri Group	Late Permian –	3-494	23-460	3 11+0 18	3	3 42+1 11 (32)	9	a: b: c
ت.«ht	Toolachee	Middle Triassic Middle – Late	3-367	8-145	2.70±0.74	3	2.93±1.32 (45)	11	a; b; c
irou	Formation Daralingie	Permian	6.06	0.04	2 12 0 25	â		c	
lpa C	Formation	Early Permian	0-90	8-96	2.42±0.27	5	2.80±1.19 (43)	8	D; C
Jidgea	Koseneath Shale Epsilon	Permian	2-183	3-98	2.45±0.46	3	1.90±0.40 (21)	4	a; b; c
J	Formation	Early Permian	2-265	5-90	2.46±0.72	3	2.44±1.55 (64)	5	a; b; c

	Murteree Shale	Early Permian	3-521	4-59	2.63±1.00	3	2.59±0.85 (33)	4	a; b
	Patchawarra Formation	Early Permian	1-404	3-383	2.61±0.91	3	3.62±1.61 (44)	11	a; b; c
	Tirrawarra sandstone	Early Permian	31-88	33-40	5.14±0.80	3	3.95±1.07 (27)	6	b; c
Gali	Merrimelia Formation	Early Permian	9-201	9-70	3.21±0.58	3	3.60±0.86 (24)	6	a; b; c
Moo	layember	Late Triassic	2-1063	9-602	2.94±0.59	4	_	-	-
Forn	nation	Early – Middle	204	140	2.57.1.25	2			
Wara	Croals Dada	Triassic Late Dormion	394 21-215	149	3.5/±1.55	3	-	-	-
Betts	s Creek Beds	Early – Middle	21-215	111-253	2.65±0.96	3	-	-	-
Clen	hatis Sandstone	Triassic Late Dormion	4-581	1-190	3.45±0.32	4	-	-	-
Rew	an Group	Early Triassic	2-1302	43-591	2.87±0.15	3	-	-	-
Forn	nation	Late Permian	1-1036	12-818	2.88 ± 0.54	4	-	-	-
	Black Alley Shale	Late Permian	5-373	11-191	3.43±1.00	3			
dno	Peawaddy Formation	Late Permian	5-349	21-188	3.03±0.25	3			
eek Gı	Catherine Sandstone	Middle Permian	2-178	27-131	3.88±0.90	3	1.73+0.23 (13)	2	g
k Cr	Ingelara Formation	Late Permian	10-309	32-173	2.96 ± 0.25	3			0
Bac	Freitag Formation	Late Permian	4-214	17-127	3.76±1.04	3			
	Aldebaran Formation	Early – Middle Permian	11-908	183-1086	3.98±0.92	3			
Cattl	le Creek	Early Permian	17-891	85-829	3.11±0.22	3	-	-	-
Reid	s Dome Beds	Early Permian	63-1263 2-966	26-667 13-91	2.80±0.49	3	-	-	-
Aran	nac Coal	Early Permian	18-333	18-232	3.29+0.44	3	_	-	_
Mea Joch	sures mus Formation	Late Carboniferous		10 202	0.2720111				
– Upper unit		– Early Permian	287	17-319	3.71±1.04	4	-	-	-
Eddi Men	e Tuff 1ber	Early Permian	85-125	21-125	3.38±1.41	3	-	-	-
Joch – Lo	mus Formation wer unit	Late Carboniferous – Early Permian	341-400	12-341	3.06±0.33	3	-	-	-
Jeric – Up	ho Formation per unit	Late Carboniferous – Early Permian	200	63-400	2.98±0.57	3	-	-	-
Oakl Men	eigh Siltstone iber	Late Carboniferous – Early Permian	46-167	69-167	2.62±0.79	3	-	-	-
Jeric – Lo	ho Formation wer unit	Late Carboniferous – Early Permian	-	126-386	3.03±0.48	3	-	-	-
Lake	e Galilee Istone	Late Carboniferous – Early Permian	287	85-287	4.21±0.53	3	-	-	-
Drui	nmond Basin	Early Fermian							
Duca Form	abrook aation	Early Carboniferous	12-43	1025	3.59	1	-	-	-
Nata	1 Formation	Early Carboniferous	206-384	385	2.85	1	-	-	-
Bulli	iwallah nation	Early Carboniferous	43-657	656	3.02	1	-	-	-
Star Forn	of Hope	Early Carboniferous	377-890	890	3.24	1	-	-	-
Rayı Forn	nond	Early Carboniferous	264-417	417	3.05	1	-	-	-
Scar Forn	twater nation	Early Carboniferous	441	442	3.08	1	-	-	-
Sain	t Annes	Late Devonian – Farly Carboniferous	214	214	3.47	1	-	-	-
Ukal	unka Beds	Early Devonian	-	395	3.04	1	-	-	-
Ada	vale Basin	Lete Deve							
Buck Forn	table nation	Late Devonian – Early Carboniferous	37-1743	8-1251	3.21±0.17	3	-	-	-
Eton	vale Formation	Middle Devonian	12-704	5-415	$3.52{\pm}1.04$	3	-	-	-
Cool Forn	addi nation	Middle Devonian	6-64	16	4.15±0.19	3	-	-	-
Lisso	by Sandstone	Middle Devonian	31-53	44	3.90±0.86	3	-	-	-
Bury	Limestone	Middle Devonian	21/-328	253-301	5.01±0.63	3	-	-	-

Log Creek Formation	Middle Devonian	59-263	317-657	3.28±0.36	3	-	-	-
Georgina Basin								
Toko Group	Ordovician	-	220-1190	3.84±0.70	3	-	-	-
Cockroach Group	Late Cambrian – Early Ordovician	-	146-1135	4.03±0.46	3	-	-	-
Narpa Group	Early – Late Cambrian	-	209-1283	3.19±0.78	3	-	-	-
Shadow Group	Middle Cambrian – Proterozoic	-	7-513	3.57±0.57	3	-	-	-

Proterozoic
 * n is the number of samples
 ** Surface deposits are considered as typical sediments (from Beardsmore and Cull, 2001; refer to Electronic Appendix A)
 *** Tertiary Volcanics are considered as basalt (from Beardsmore and Cull, 2001; refer to Electronic Appendix A)
 **** RSD is Relative Standard Deviation
 a Gallagher (1987)
 b. Lite Drug Berk Betty Ltd. C. E. C. (2011)

a Ganagner (1987) b Hot Dry Rocks Pty Ltd, G. E. C. (2011) c Weber and Kirkby (2011) d Brown et al. (2012) e Faulkner et al. (2012) f Fitzell et al. (2012)

g Troup et al. (2012)

Sample	Depth (m)	Description		Mo	dal N	Thermal conductivity			
			Q	AF	Pl	Ms	Bt	Hb	(W/mK)
DIO Wolgolla 1	2040.4-2041.7	Altered, leucocratic, coarse-grained, porphyritic, muscovite-biotite S-type monzogranite	35	30	30	3	2		3.55+/-0.07
TEA Roseneath 1	2192-2196	Pale grey, medium-grained, leucocratic, biotite-muscovite S-type monzogranite; cut by black veins	35	28	30	5	2		3.70+/-0.06
AOD Budgerygar 1	1621.5-1622.4	Grey, medium-grained, equigranular, hornblende-biotite I-type monzogranite	30	25	25		10	10	3.30+/-0.09
LOL Stormhill 1	1552-1553	Pale grey, medium-grained, equigranular, biotite I-type monzogranite	30	40	25		5		3.40+/-0.04
AOP Balfour 1	1693-1695	Red, fine-grained, equigranular, I-type tonalite; Enclaves and calcite veins	30		40			30	2.90+/-0.16
TEP Jandowae West 1	467-468	Pale grey, medium-grained, equigranular, bornblende-biotite I-type quartz monzodiorite	10	10	45		15	20	2.51+/-0.24
Javel 2*	1146-1176	Pale grey to pink, coarse-grained, porphyritic, biotite-muscovite S-type monzogranite	30	40	20	2	8		3.68+/-0.19
PGA Bradley 1	890.6-894.4	Red, medium-grained, porphyritic, biotite I- type monzogranite	30	30	35		5		3.55+/-0.05

Lithology	SiO ₂ (wt%)	U (ppm)	Th (ppm)	K ₂ O (wt%)	Heat production $(\mu W/m^3)^*$	Data sources
Sediments	65.9	3.27	13.06	1.77	1.87	Kamber et al., 2005
Felsic igneous rocks	-	-	-	-	2.50	Meixner et al., 2012
Other basement rocks	-	-	-	-	1.70	Meixner et al., 2012
Granites						
DIO Wolgolla 1	77.1	5.13	22.55	3.79	3.17	This study
TEA Roseneath 1	77.7	6.41	9.08	4.76	2.67	This study
AOD Budgerygar 1	65.5	3.42	9.35	2.25	1.70	This study
LOL Stormhill 1	77.2	5.29	16.34	4.71	2.88	This study
AOP Balfour 1	64.8	1.82	8.98	2.14	1.27	This study
TEP Jandowae West 1	61.0	1.35	3.80	1.64	0.75	This study
Javel 2**	76.6	10.70	10.13	4.52	3.80	This study
PGA Bradley 1	73.0	6.87	36.46	7.18	4.87	This study
Upper Continental Crust	66.6	2.7	10.5	2.8	1.65	Rudnick&Gao, 2003
Middle Continental Crust	63.5	1.3	6.5	2.3	0.98	Rudnick&Gao, 2003
Lower Continental Crust	53.4	0.2	1.2	0.61	0.19	Rudnick&Gao, 2003
Average Continental Crust	60.6	1.3	5.6	1.81	0.87	Rudnick&Gao, 2003
Big Lake Suite	-	16.5	74	6.0	9.74	Middleton, 1979

* A density of 2.5 is used for the calculation ** Upper granite

Table	5
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Well Name	Depth (m) WCR	T (°C) WCR	Depth (m) Oztemp	T (°C) Oztemp	Method
AOG Ferrett 1	1581	71	2017.78	71	DST
UOD Condamine 1	1394	49	1528.6	60.6	DST
OMN Scotia 2	2901	108	2774	100	DST
PPC Waggaba 1	766	43	Not found	Not found	DST
PPC Waggaba 1	994	43	Not found	Not found	DST
PPC Waggaba 1	1104	49	Not found	Not found	DST
PPC Waggaba 1	1152	49	Not found	Not found	DST
HEP Toobunyah 1	Not found	Not found	1219.2	97.2	Horner
SSL Clinton 1	2980	160	2804.2	146.66	DST
SSL Clinton 1	2918	154	2743.8	146.66	DST
CON Lynwood 1	2480	122	1371.6	121.67	Horner
DIO Challum 4	2352	128	2351.53	79.86	DST
SSL Juno 2	2825	149	2825.5	156.66	Horner
LEA Bodalla South 3	1715	101	1715	107.8	Horner











Figure 6















Figure 11





Heat Flow - 5 km - $Q_B (mWm^{-2})$

Figure captions

Figure 1: Summary of the geological features of the area of study in SW Queensland. The scale is the same for Figures 1b to 1d. a) Outline of the study area; GAB is Great Artesian Basin, WA is West Australia, SA is South Australia, QLD is Queensland, NSW is New South Wales, VIC is Victoria, NT is Northern Territory and ACT is Australian Capital territory; b) Oztemp map with towns and locations referred to in text; after Holgate and Gerner (2011); SA and QLD indicates the state border between South Australia and Queensland c) Nature of the intersected basement using data from Brown et al. (2012) for Queensland and available information from https://sarig.pir.sa.gov.au/Map for South Australia; d) Depth to basement (modified after Purdy et al., 2013) and location of new data generated in this study. Purple crosses indicate the location for new thermal conductivity and heat production values and grey points correspond to new temperature and heat flow data at 5 km depth.

Figure 2: Available information on basement structure. Image in the bottom hand left corner is the C-seismic horizon, corresponding to the top of the Early-Cretaceous Cadna-Owie formation (after Figure 5 of Radke, 2009) of the Great Artesian Basin (Cook et al., 2013). Black lines indicate the location of deep crustal seismic transects. Blue contours correspond to Tertiary intraplate volcanic fields where xenoliths were found (after O'Reilly and Griffin, 1990). Note that xenoliths are only located on the eastern side of the study area. Information on the basement structure of the study area is derived primarily from deep crustal seismic transects and seismic horizons (e.g., C-seismic horizon depicted in the bottom hand left corner image).

Figure 3: Distribution of sedimentary basins in SW Queensland that can provide thermal insulator cover to heat-producing basement rocks (Fergusson and Henderson, 2013). The thick solid line corresponds to the extent of the Eromanga Basin.

Figure 4: Schematic diagram illustrating the use of the stochastic approach. The uncertainties of three parameters: temperature (T), thermal conductivity (K) and heat production (A), have been considered to determine the uncertainties of the calculated heat flow (Q) and temperature at 5 km depth. The perturbations were performed randomly using a Gaussian distribution for temperature and heat production, and a lognormal distribution for thermal conductivity.

Figure 5: Control of input parameters (thermal conductivity, heat production and temperature) on heat flow and temperature determinations at 5 km depth. a) Range of

estimated heat flow (mWm⁻²) at 5 km depth. b) Range of estimated temperature (°C) at 5 km depth. Simulation 1: Temperature and heat production are fixed, thermal conductivity varies; Simulation 2: thermal conductivity and temperature are fixed, heat production varies; Simulation 3: thermal conductivity and heat production are fixed, temperature varies; Simulation 4: temperature is fixed, thermal conductivity and heat production vary; Simulation 5: Thermal conductivity is fixed, temperature and heat production vary; Simulation 6: Heat production is fixed, thermal conductivity and temperature vary; Simulation 7: Thermal conductivity, heat production and temperature are fixed; Simulation 8: Thermal conductivity, heat production and temperature are fixed; Simulation 8: Thermal conductivity, heat production and temperature vary. The widest range of uncertainties is observed when thermal conductivity data are perturbed (simulations 1, 4, 6 and 8).

Figure 6: Results of stochastic thermal modelling. a) and b), Median estimated temperature and heat flow map at 5 km depth, respectively. c) and d), First quartile (25%) estimated temperature and heat flow maps at 5 km depth, respectively. e) and f), Third quartile (75%) estimated temperature and heat flow maps at 5 km depth, respectively. g) and h), estimated temperature and heat flow maps at 5 km depth, respectively, using a uniform distribution of thermal conductivity within the interval 0.1 to 5 Wm⁻¹K⁻¹ and fixed heat production and temperature data. The 4 sets of maps clearly indicate a prominent SW-NE trend of lower heat flow data.

Figure 7: Average thermal conductivity (measurement unit) of the sedimentary cover. Areas of high heat flow and lower temperatures at 5 km correspond to areas with higher thermal conductivity of the sedimentary sequence (e.g. towards the Galilee Basin).

Figure 8: Reliability of the temperature and heat flow maps. a) Mean Temperature error map; b) Histogram of mean temperature errors. The majority of the wells studied have small mean temperature errors that suggest that the assumption of 1D steady-state conduction is for most cases, valid.

Figure 9: Geothermal gradient determined using temperature determination at 5 km depth versus inverse of the average thermal conductivity of the sedimentary cover. This graph illustrates the lack of correlation between sedimentary blanketing and geothermal gradient.

Figure 10: Average heat production between 5 and 40 km depth versus mantle Heat flow. Isolines correspond to heat flow at 5 km depth and dashed lines to standard crustal averages from Rudnick and Gao (2003). For areas of high heat flow (>100 mWm⁻²), an unrealistic mantle heat flow (>65 mWm⁻²) is required for standard crustal heat production values.

Figure 9: Geologic origin for the SW-NE trend of lower heat flow and temperatures at 5 km depth in SW Queensland. a) Close-up of median heat flow at 5 km depth as illustrated in Figure 6b with a slightly different color scale. b) The lower median heat flow SW-NE trend corresponds to basement structure and a depression indicated by the top of Cadna-Owie formation as delineated by the C seismic horizon and top of the Cadna-Owie formation (after Radke, 2009).

Figure A.1.: Schematic model to determine heat flow at 5 km depth. a) Modelled temperature profile using observed temperatures (stars) and a constant thermal conductivity. It must be noted that this temperature profile is a simple illustration and will vary with depth depending on thermal conductivity variations of the sedimentary cover. ΔT is the difference between observed and modelled temperature. T_T is the shift of the temperature profile from 0 to the best fit T_T (refer to text). b) The mean square temperature error ($\Delta \varepsilon$) is a quadratic function of heat flow at 5 km Q_T (Eq. A.11) and is used to determine the best fit T_T . The best fit Q_T corresponds to the smaller mean squared errors ($\Delta \varepsilon$ ' = 0), i.e., the lowest point of the quadratic function. T_T is computed using Q_T and Eq. A.9.

Table captions

 Table 1: Nomenclature.

Table 2: Summary of stratigraphy encountered in the study area, listing the sedimentary formations for each basin, their stratigraphic age, approximate thickness range and estimated and measured thermal conductivities.

Table 3: Summary of analysed granites in this study, listing their location, lithological characteristics, modal mineralogy, and measured thermal conductivities.

Table 4: Key chemical characteristics and heat production values of basement granites from SW Queensland analysed in this study, and compared with other crustal materials. This table also presents heat production values for the sedimentary cover and other type of basement rocks.

Table 5: List of temperature measurement discrepancies between original data derived from well completion reports and the compiled database Oztemp from Holgate and Gerner (2011).