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## Spatial Behavior in Groups: an Agent-Based Approach

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### Abstract

We present an agent-based model with the aim of studying how macro-level dynamics of spatial distances among interacting individuals in a closed space emerge from micro-level dyadic and local interactions. Our agents moved on a lattice (referred to as a room) using a model implemented in a computer program called P-Space in order to minimize their dissatisfaction, defined as a function of the discrepancy between the real distance and the ideal, or desired, distance between agents. Ideal distances evolved in accordance with the agent's personal and social space, which changed throughout the dynamics of the interactions among the agents. In the first set of simulations we studied the effects of the parameters of the function that generated ideal distances, and in a second set we explored how group macro-level behavior depended on model parameters and other variables. We learned that certain parameter values yielded consistent patterns in the agents' personal and social spaces, which in turn led to avoidance and approaching behaviors in the agents. We also found that the spatial behavior of the group of agents as a whole was influenced by the values of the model parameters, as well as by other variables such as the number of agents. Our work demonstrates that the bottom-up approach is a useful way of explaining macro-level spatial behavior. The proposed model is also shown to be a powerful tool for simulating the spatial behavior of groups of interacting individuals.

#### Keywords:

Spatial Behavior, Proxemics, Agent-Based Modeling, Minimum Dissatisfaction Model, Small Groups, Social Interaction

### Introduction

#### 1.1

The concepts of personal space and spatial distances between interacting individuals have been common topics addressed by social spatial behavior research since the 1950s. Proxemics, as introduced by Hall ([1966](#)), has become a key field of interest for social scientists, such as anthropologists, sociologists, and environmental and social psychologists. For example, proxemics provides a background for environmental psychologists because personal space is related to crowding and territoriality ([Cassidy 1997](#)). However, research done in these social

sciences usually focuses on macro-level behaviors. Although it is possible to obtain accurate descriptions of this phenomena, it is difficult to explain the behavior observed. For example, although it is possible to identify a great many of the variables that affect spatial distances and personal space from a macro-level point of view, such as age, gender, personality, cultural differences and so on (for a review of these variables, see [Hayduk 1983](#)), it is difficult to come up with general rules, and whenever a general rule is formulated, a number of exceptions to it quickly crop up.

## 1.2

Suppose you are observing a group of people interacting in a situation such as a cocktail party. If you (or a camcorder) had a bird's eye view of a room where a party was going on, you would clearly detect certain patterns in the dynamics of spatial behavior: people move from one group to another, people come together to form groups, one person sits alone in a corner, some people move very close to others as they interact, while others prefer to keep their distance, and so on. However, the real problem begins when you try to formulate rules to explain the spatial behavior you have observed. You could begin by stating, "After a certain length of time, a group of people talking together tends to break up". But you would probably quickly find exceptions to this general rule: "After a certain length of time, a group of people talking together tends to break up, unless a new person joins the group". You would also find exceptions to the exceptions: "After a certain length of time, a group of people talking together tends to break up, unless a new person joins the group and no one in the group dislikes that new person". And so on. In short, it is very difficult to come up with even one simple general rule.

## 1.3

However, a different strategy can be used to explain complex social behavior: analyzing the macro-level behaviors that emerge<sup>[1]</sup> from micro-level relationships instead of focusing on the macro-level itself. Complex social behavior can then be explained as a consequence of simple rules of interaction, and models can be built from the bottom up. Though bottom-up models are not common in human social-behavior research, there was a time when such proposals were made. Quite some time ago, Schelling ([1969](#)) proposed a model in which some people (called agents) were located in cells on a line and individuals moved to the left or right in accordance with certain rules. Sakoda ([1971](#)) developed a model in which agents moved on a checkerboard. The agents had positive, neutral or negative attitudes towards one another, and used them to move to empty cells on a lattice in accordance with an established rule: each agent could move to a cell in its Moore neighborhood (defined as a 3-cell by 3-cell square with the agent's current location in the center) where the sum of attitude values was maximized. Nowak, Szamrej, & Latané ([1990](#)) developed a bottom-up computational model of attitude change and social impact. Cellular automata theory was also used to explain the social macro-level effects of micro-level behavior ([Hegselmann 1996](#); [Hegselmann & Flache 1998](#)); likewise, pedestrian behavior has been modeled using cellular automata and agent-based models ([Schreckenberg & Sharma 2002](#)).

## 1.4

We suggest that the spatial behavior of a group as a whole (macro-level behavior) can be explained as a process emerging from the dyadic interaction rules governing the spatial distances between the members of the group (micro-level behavior). Therefore, the main objective of this paper is to show that macro-level dynamics observed in spatial behavior in a closed room emerge from the spatial interactions between the agents occurring at the micro level.



## Model

### 2.1

Quera, Beltran, Solanas, Salafranca, & Herrando ([2000](#)) and Quera, Solanas, Salafranca, Beltran, & Herrando ([2000](#)) presented an agent-based model to explain the dynamics of spatial behavior

of a small group of people interacting in a closed space (for instance, in a room at an indoor event). This model, called the minimum-dissatisfaction (MD) model, establishes how distances between agents change through time as a consequence of modifications in micro-level features. In accordance with the MD model, at each time unit, an agent moves to the location within its current neighborhood that minimizes its social dissatisfaction, defined as a function of the discrepancy between the real distances it actually keeps from the other agents and the ideal distances it wants to keep from them. Agent  $i$ 's dissatisfaction at time  $t$  is defined as:

$$U_i(t) = \frac{\sum_{j \in Z_i} w_{ij}(t) \cdot |d_{ij}(t) - D_{ij}(t)|}{m \sum_{j \in Z_i} w_{ij}(t)} \quad (1)$$

where  $Z_i$  is the subset of agents perceived at time  $t$  by agent  $i$  and from which agent  $i$  keeps non-neutral ideal distances;  $m$  is the maximum possible real distance, given the dimensions of the room, and is used to rank dissatisfaction between 0 and 1;  $w_{ij}(t)$  weighs the discrepancy between the real and ideal distance;  $d_{ij}(t)$  is the current real distance between agents  $i$  and  $j$  at time  $t$ ; and  $D_{ij}(t)$  is the ideal distance agent  $i$  wants to keep from agent  $j$  at time  $t$  (for details, see [Quera, Beltran, Solanas, Salafranca, & Herrando 2000](#)).

## 2.2

The ideal distance agent  $i$  wants to keep from agent  $j$  can vary in accordance with some rules (or functions) that are applied whenever a behavioral event or combination of events occurs during the interaction. For the purposes of this paper, we used a function that generated ideal distances between agents as a consequence of changes in their personal and social spaces. We defined the personal ( $P_{ij}(t)$ ) and social ( $S_{ij}(t)$ ) distances of agent  $i$  with respect to agent  $j$  at time  $t$  as the lower and upper limits, respectively, for the ideal distance agent  $i$  wanted to keep from agent  $j$  at time  $t$ . Personal and social distances were the diameters of two concentric circles whose center was agent  $i$ 's current location. In accordance with our model, the ideal distance varied as a function of both the personal and social distances, which changed as a function of real distance, which in turn was ultimately determined by the agent's dissatisfaction ( $U_i(t)$ ).

## 2.3

Initially,  $P_{ij}(0)$  and  $S_{ij}(0)$  were assigned specific values:  $P_{ij}(0)$  was equal to the diameter of the agent's neighborhood; and  $S_{ij}(0)$  was equal to  $3P_{ij}(0)$  because, according to proxemics, the social-space distance is approximately three times greater than the personal-space distance ([Hall 1966](#)). As the simulation progressed ( $t = 1, 2, \dots$ ) and while  $d_{ij}(t) > S_{ij}(0)$ , agent  $i$ 's movements were not a product of its real distance from agent  $j$ , and  $P_{ij}(t)$  and  $S_{ij}(t)$  kept their initial values. During this period the agent moved randomly. The first time its real distance from agent  $j$  reached a value that was lower than or equal to its social distance from that agent, i.e.,  $d_{ij}(t) \leq S_{ij}(0)$ , the ideal distance that agent  $i$  wanted to keep from agent  $j$  changed to one of the following values: (a) if the real distance was less than the personal distance, i.e.,  $d_{ij}(t) \leq P_{ij}(t)$ , then the ideal distance was set equal to the personal distance,  $D_{ij}(t) = P_{ij}(t)$ ; or (b) if the real distance was greater than the social distance, i.e.,  $d_{ij}(t) > S_{ij}(t)$ , then the ideal distance was set equal to the social distance  $D_{ij}(t) = S_{ij}(t)$ ; or (c) if the real distance was between the personal and social distances, i.e.,  $P_{ij}(t) < d_{ij}(t) \leq S_{ij}(t)$ , then the ideal distance was set equal to the real

distance,  $D_{ij}(t) = d_{ij}(t)$ .

## 2.4

Three different time counters were updated when each of these conditions occurred:  $t_p$ ,  $t_m$  and  $t_s$ , which were cumulative times for conditions (a), (b), and (c), respectively.  $P_{ij}$  and  $S_{ij}$  were also updated depending on which condition applied, and as a function of the corresponding time-counter value, provided it was greater than the given critical adaptation time  $T$ . When condition (a) applied, i.e., when the real distance was less than the personal distance, the personal distance was updated in accordance with the following formula:

$$P_{ij}(t+1) = P_{ij}(t) + r \cdot k \cdot T^2 / t_p \quad (2)$$

## 2.5

If  $t_p = n \cdot T$  ( $n = 1, 2, \dots$ ),  $r = -1$ ; otherwise  $r = +1$ . Parameter  $k$  was equal to a non-null value that was less than the neighborhood diameter. Thus, while agent  $j$  was at a distance of less than  $P_{ij}(t)$ , agent  $i$  reacted by increasing that personal distance by small amounts, and subsequently made its ideal distance with respect to agent  $j$  equal to its personal distance. In other words, agent  $i$  reacted to agent  $j$ 's approaches by trying to avoid agent  $j$ , because agent  $i$  perceived agent  $j$  as an invader of its personal space. However, as the cumulative time at a specific personal distance increased and reached values equal to  $T, 2 \cdot T, 3 \cdot T$ , etc., agent  $i$  became progressively more used to agent  $j$  being at that distance, and decreased its personal distance with respect to agent  $j$ ; as a result, its ideal distance from agent  $j$  decreased as well. In other words, agent  $i$  could not run away from agent  $j$  and adapted to the new situation. Subsequent increases and decreases in personal distance became progressively smaller, and therefore that distance tended towards equilibrium.

## 2.6

When condition (b) applied, i.e., when the real distance was greater than the social distance, the social distance was updated in the following way:

$$S_{ij}(t+1) = S_{ij}(t) + r \cdot k \cdot T^2 / t_m \quad (3)$$

## 2.7

If  $t_m = n \cdot T$  ( $n = 1, 2, \dots$ ),  $r = +1$ ; otherwise,  $r = -1$ . While agent  $j$  was at a distance from agent  $i$  that was greater than agent  $i$ 's social distance with respect to agent  $j$ , agent  $i$  reacted by decreasing that social distance by small amounts, and making its ideal distance equal to its social distance. In other words, it reacted to non-approaches from agent  $j$  by trying to approach it. Still, as  $t_m$  increased and reached values equal to  $T, 2 \cdot T, 3 \cdot T$ , etc., agent  $i$  became progressively more tired of agent  $j$  being at that distance, and increased its social distance substantially; as a result, its ideal distance increased as well. As subsequent changes became progressively smaller, the social distance tended towards equilibrium.

## 2.8

Finally, when condition (c) applied, i.e., when the real distance was greater than the personal distance and less than the social distance, these distances were updated as follows:

$$P_{ij}(t+1) = P_{ij}(t) + r \cdot k \cdot T^2 / t_s \quad S_{ij}(t+1) = S_{ij}(t) + r \cdot k \cdot T^2 / t_s \quad (4)$$

## 2.9

If  $t_s = n \cdot T$  ( $n = 1, 2, \dots$ ),  $r = -1$ ; otherwise,  $r = +1$ . In other words, agent  $i$  reacted by increasing both its personal and social distances by small amounts; therefore, agent  $i$  responded to an almost steady situation by trying to avoid agent  $j$ . However, as  $t_s$  increased and reached values equal to  $T, 2 \cdot T, 3 \cdot T$ , etc., agent  $i$  became progressively more used to the situation and decreased both its personal and social distances with respect to agent  $j$ ; consequently, its ideal

distance decreased as well. As before, subsequent increases and decreases in personal and social distances became progressively smaller.

## 2.10

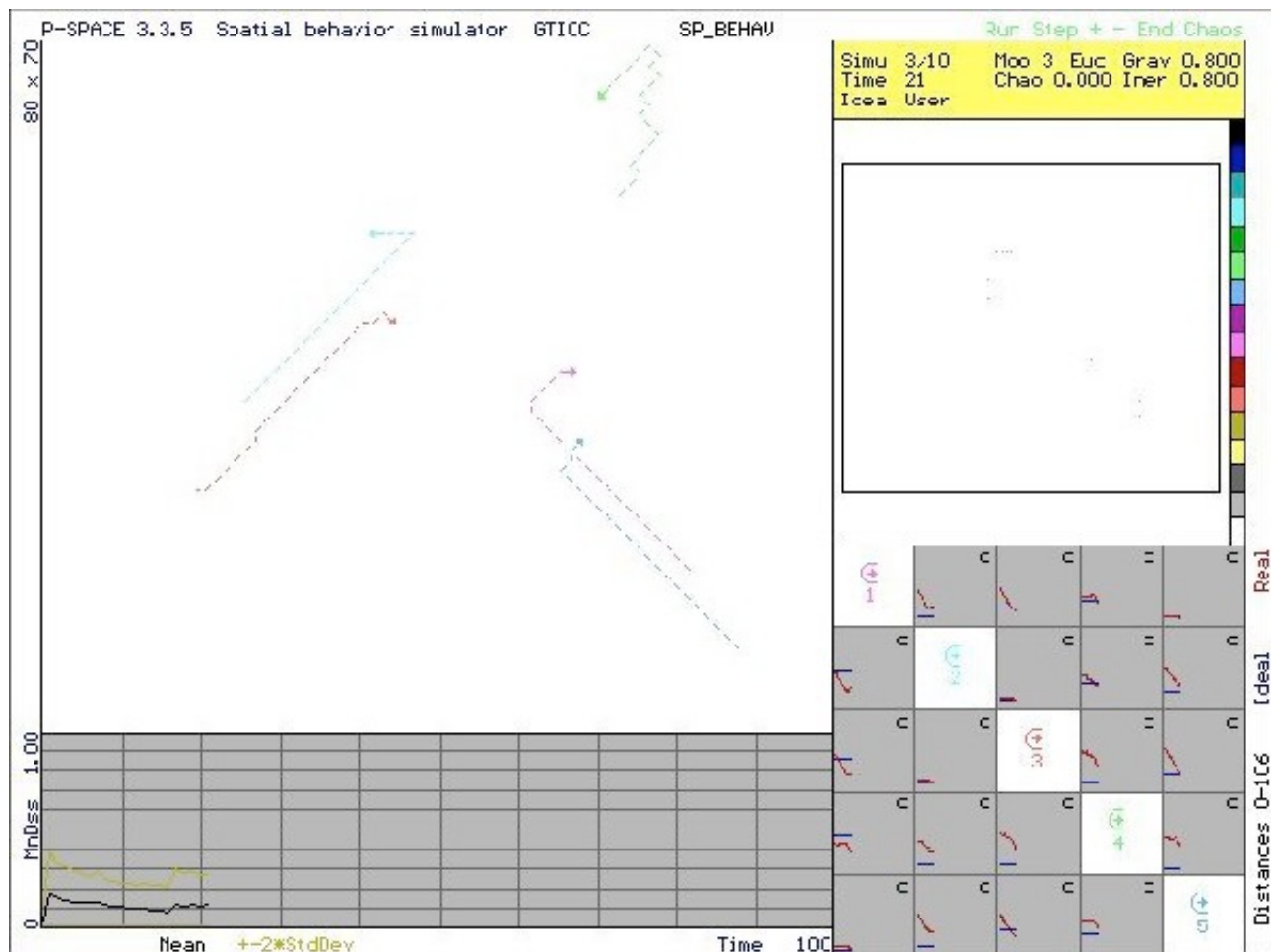
In this paper, we will systematically explore how the agents' personal and social distances evolved, depending on different parameter values ( $k$  and  $T$ ) of the function that generated the ideal distances  $D_{ij}$ , as described above.



## Method

### 3.1

The MD model was implemented as an agent-based computer program called P-Space written in Borland C language (Quera, Beltran, Solanas, Salafranca, & Herrando 2000; Quera, Solanas, Salafranca, Beltran, & Herrando 2000) in accordance with the following assumptions: (a) agents move in a lattice, called a room, occupying one cell at a time (i.e., time and space are measured in discrete units); (b) a cell cannot be occupied by two or more agents simultaneously; (c) at each time unit, agents decide to move within their respective neighborhoods simultaneously; and (d) agents make their decisions independently from the other agents. Figure 1 shows the interface screen of P-Space. The software and the user manual can be downloaded from [http://www.ub.es/comporta/gcai/Paginas/gcai\\_Downloads.htm](http://www.ub.es/comporta/gcai/Paginas/gcai_Downloads.htm).



**Figure 1.** Interface screen of P-Space. A room with five agents is shown in the upper left section. The lower left plot shows the agents' dissatisfactions as a function of time. Ideal and real distances between agents as a function of time are shown in the lower right  $5 \times 5$  grid.

The upper right section of the screen displays the room to scale, where frequency of occupation is represented using color codes in a real screen. Also, different colors are used for identifying agents and their trajectories.

### 3.2



Agents have individual features: (a) initial orientation or heading, subsequent headings being defined by the direction of the agent's movement from time  $t$  to time  $t+1$ ; (b) attention scope, a circular sector which is defined as an area within the room to which the agent "pays attention" at time  $t$ , so that only other agents within that area are considered when the agent computes its dissatisfaction at that time; (c) initial position within the room; and (d) the diameter and type of neighborhood, which are the same for all agents in a given simulation.

### 3.3

The general procedure for the simulations was as follows: First, the diameter of the neighborhood was set at 3 cells, making initial values for personal and social distances 3 and 9, respectively. Some preliminary simulations showed that the size of the room, the attention scope, and the type of neighborhood yielded no effects on  $D_{ij}$ , so in all the simulations these parameters were assigned constant values of 80 cells  $\times$  70 cells,  $360^\circ$  and a Moore neighborhood, respectively. The program saved values for  $P_{ij}$  and  $S_{ij}$  for each agent at each time unit, as well as real and ideal distances. Thus, the dynamics of  $P_{ij}$  and  $S_{ij}$  over time can be observed. Moreover, when the simulation was running, the computer screen showed the room and the position of the agents in the room at each time unit. The total time units of each simulation varied depending on the time needed for  $P_{ij}$  and  $S_{ij}$  to reach equilibrium. The procedure of the simulation as carried out by program P-Space is outlined in the pseudocode shown in Figure 2.

```

Setup:
Define room size (80x70 cells)
Define size of agent neighborhood (Moore, 3x3 cells)
For every agent
  Assign initial 2D coordinates and heading
  Assign attention scope (360 degrees)
  Assign initial personal (P) and social (S) distance to every other agent (P = 3, S = 9)

Move:
Repeat for every time unit t:
  Repeat for every non-neutral agent i:
    For every cell X in its neighborhood:
      Compute possible dissatisfaction at cell X
      Choose cell C in the neighborhood for which dissatisfaction would be minimum
      Move to cell C

Compute dissatisfaction at cell X for agent i at time t:
For all agents j != i:
  If j is perceived by i at t, and has been at a distance less than S from i at least once then
    Compute U = abs( real distance from cell X to j's position at t - ideal distance from i to j at t )
  Dissatisfaction = weighted average of U's

Compute ideal distance agent i wants to keep from agent j at t:
Let D = current real distance from i to j
Let ID = current ideal distance i wants to keep from j
Let P = current personal distance i wants to keep from j
Let S = current social distance i wants to keep from j

If D <= P then:
  Increase time counter TP
  If TP is a multiple of critical time T then decrease P
  Else increase P
  Let ID = P

Else if D > S then:
  Increase time counter TM
  If TM is a multiple of critical time T then increase S
  Else decrease S
  Let ID = S

Else if P < D <= S then:
  Increase time counter TS
  If TS is a multiple of critical time T then decrease P and S
  Else increase P and S
  Let ID = D

```

**Figure 2.** Pseudocode of program P-Space, indicating how ideal, personal, and social distances are updated according to changes in real distance between the agents

### 3.4

Two sets of simulations were carried out with P-Space: (a) a first set systematically tested the effects of critical adaptation time  $T$  and incremental parameter  $k$  on the evolution of personal

and social distances; and (b) a second set of simulations tried to identify macro-level spatial-behavior patterns that might emerge as a function of parameters  $T$  and  $k$ , as well as other variables.

### First set of simulations: Effects of parameters $T$ and $k$

#### 3.5

Values for parameters  $T$  and  $k$  were varied systematically in order to observe the effects on the evolution of  $P_{ij}$  and  $S_{ij}$  over time. Only two agents were defined: Agent 1 acted in accordance with the rules that generated ideal, personal, and social distances, while Agent 2 was immobile and neutral, i.e., it did not move and did not react to Agent 1. When the simulation started ( $t=0$ ), Agents 1 and 2 were located in the center of the room, one facing the other (i.e., their headings were opposite). Agent 1's values for parameters  $T$  and  $k$  were varied using four simulation conditions obtained from previous exploratory simulations (see Table 1).  $P_{12}$  and  $S_{12}$  values were recorded during the simulation.

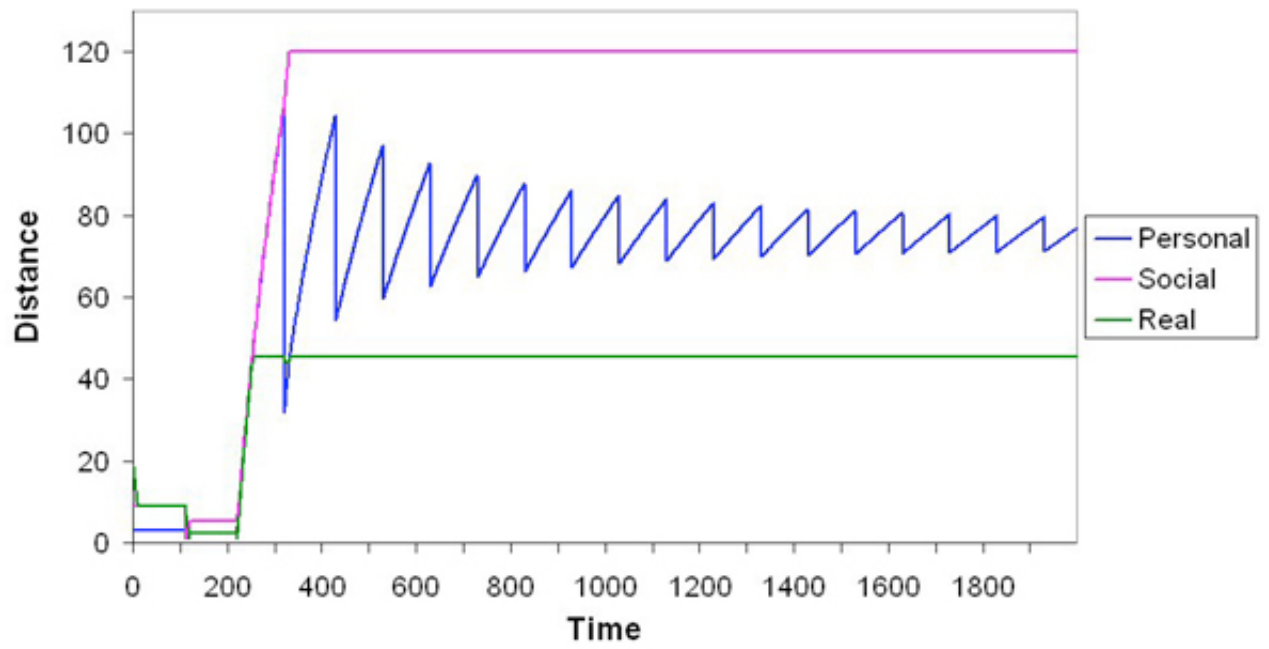
**Table 1:** Parameter  $T$  and  $k$  values used in the simulation

Condition	Parameter $T$	Parameter $k$
A	100	0.5
B	100	0.05
C	10	0.5
D	10	0.05

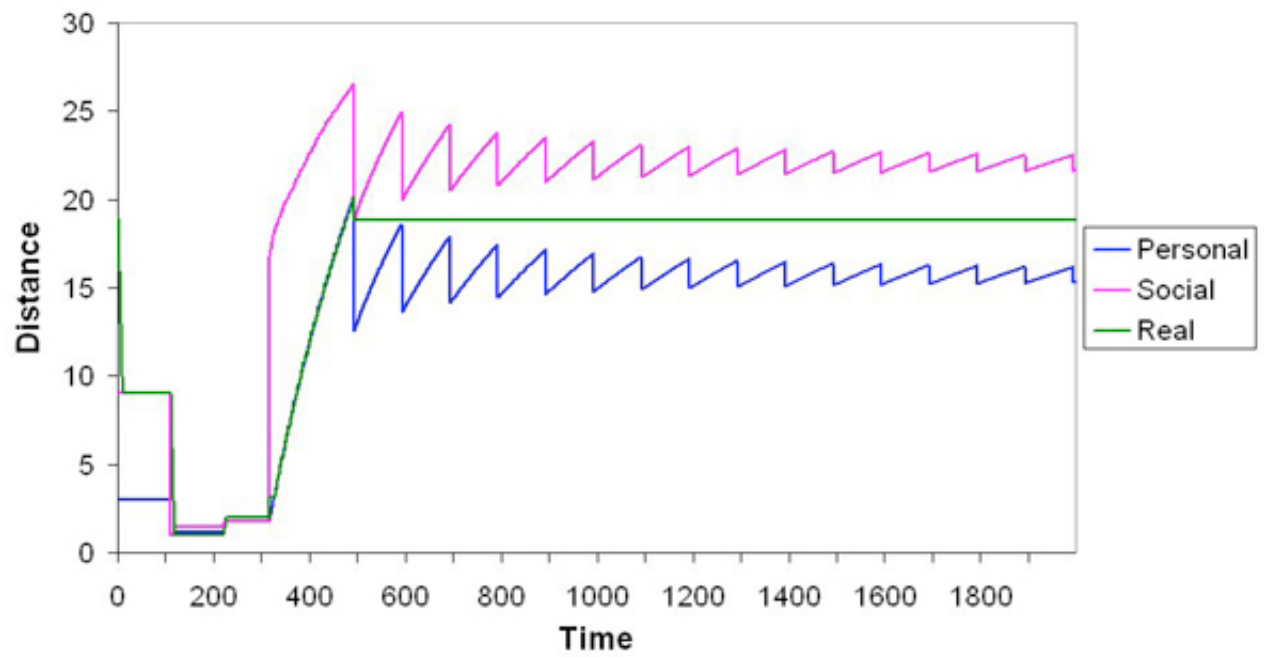
#### 3.6

The results show that under condition A,  $P_{12}$  and  $S_{12}$  values become higher than the dimensions of the room; whereas, under conditions B, C, and D,  $P_{12}$ ,  $S_{12}$  and  $d_{12}$  reached steady values after a variable number of time units (see Figure 3). Given that  $D_{12}$  was equal to  $d_{12}$  when  $d_{12}$  was between  $P_{12}$  and  $S_{12}$ ,  $D_{12}$  also reached equilibrium under conditions B, C, and D. Therefore, the ideal distance agent  $i$  wanted to keep from agent  $j$  remained constant when  $P_{12}$  and  $S_{12}$  reached equilibrium. Figure 3 also shows that under conditions B and C, social distance  $S_{12}$  tended to be higher than under condition D (about 25 cells vs. about 8 cells). Also, under conditions C and D, personal distance  $P_{12}$  was lower than under condition B (about 2 cells vs. about 15 cells).

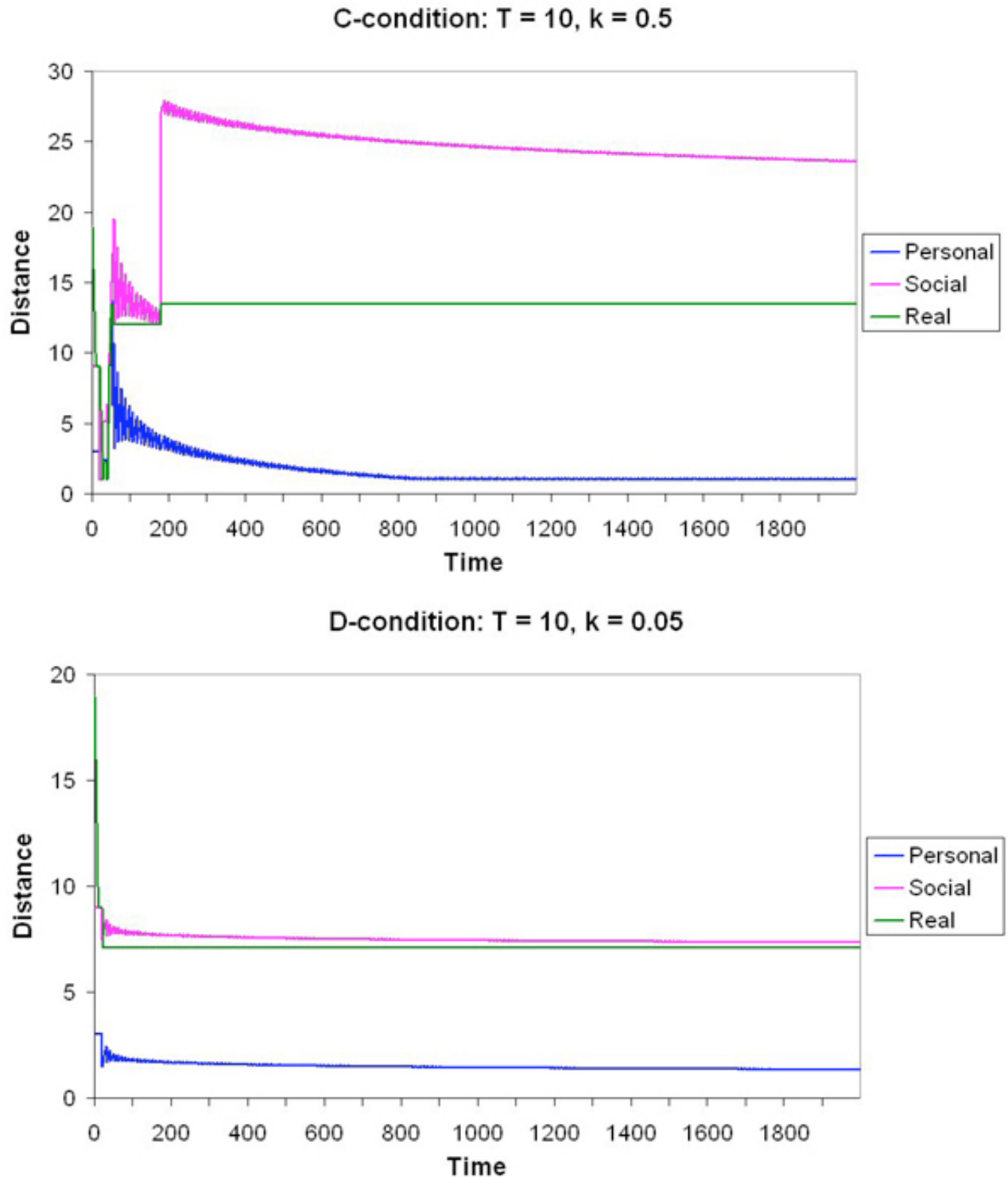
**A-condition:  $T = 100, k = 0.5$**



**B-condition:  $T = 100, k = 0.05$**







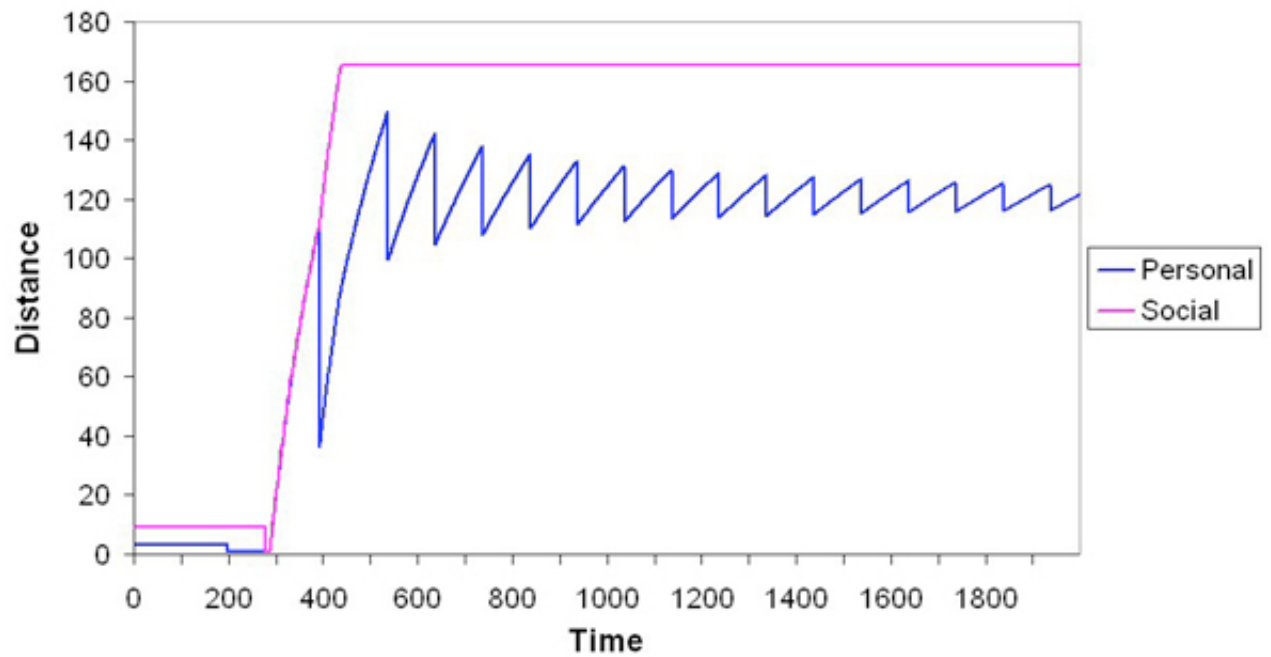
**Figure 3.** Evolution of personal, social, and real distances over time under simulation conditions A, B, C, and D. Distances for Agent 1 were governed by parameters  $T$  and  $k$ , which are shown in the figure. Agent 2 was immobile and neutral

### 3.7

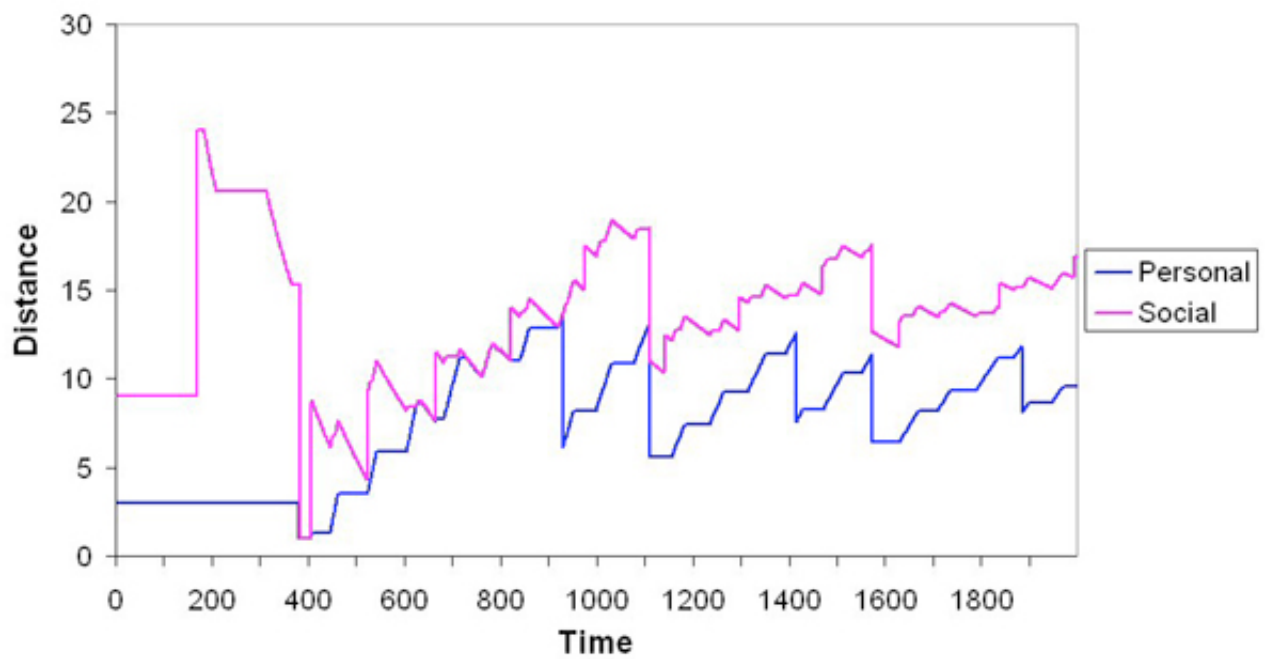
A second series of simulations was carried out in order to obtain the equilibrium values for  $P_{12}$  and  $S_{12}$  when Agent 2 was neutral with respect to Agent 1, but moved randomly; the neutral agent had no ideal distances with respect to the other agent, and therefore did not experience dissatisfaction. At  $t=0$ , Agents 1 and 2 were located in the center of the room and their headings were opposite. Parameters  $T$  and  $k$  for Agent 1 were varied in accordance with the A, B, C, and D simulation conditions described above. The results are shown in Figure 4. For all conditions,  $P_{12}$  and  $S_{12}$  values were approximately the same as those found in the first simulation series, although the evolution of  $P_{12}$  and  $S_{12}$  over time was more irregular,

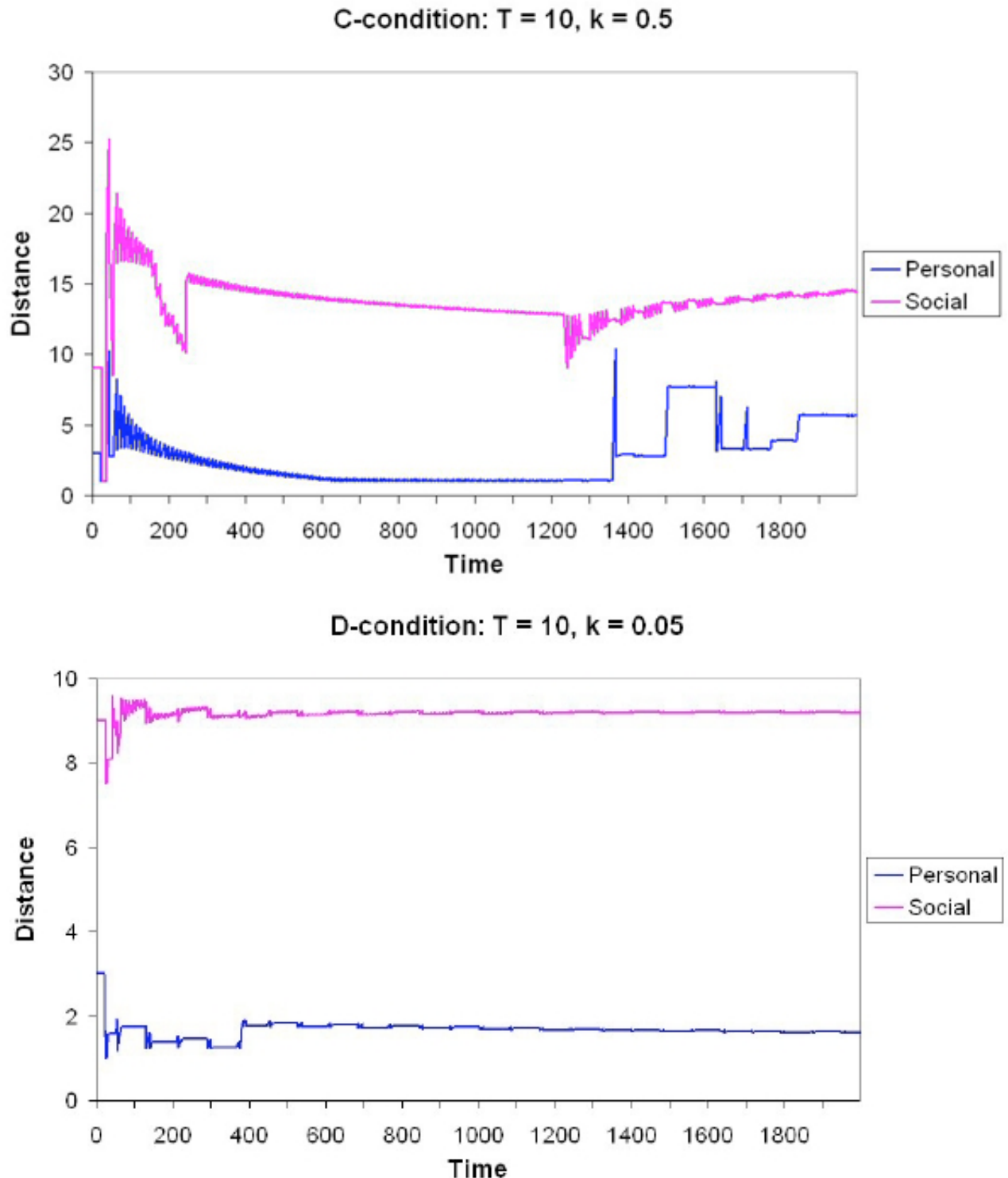
especially under condition B.

**A-condition:  $T = 100, k = 0.5$**



**B-condition:  $T = 100, k = 0.05$**





**Figure 4.** Evolution of personal and social distances over time for conditions A, B, C, and D. Distances for Agent 1 were governed by parameters  $T$  and  $k$ , which are shown in the figure. Agent 2 was neutral and moved randomly

### 3.8

Under condition B, an interesting emergent effect occurred. The perception gained from watching the computer screen while the simulation was running was that sometimes Agent 2 (which was neutral and moved randomly) was chasing Agent 1, and sometimes Agent 1 was chasing Agent 2. This behavior was obviously not the result of an order telling agents to chase each other alternately, and can be explained by Agent 1's high personal and social distance values under condition B. While moving randomly, Agent 2 invaded Agent 1's personal space, making  $D_{12}$  increase, which in turn prompted Agent 1's avoidance behavior; likewise, Agent 2 moved far from Agent 1's social space, making  $D_{12}$  decrease, which in turn prompted Agent 1's approach behavior. Thus, to an outside observer, the overall spatial dynamics of the two agents

was perceived as "Agent 1 and Agent 2 are chasing each other alternately".

### 3.9

A third simulation series was carried out in order to determine whether the evolution patterns of personal and social distances found previously remained the same if the two agents were not neutral but acted in accordance with different values of parameters  $T$  and  $k$ . Two agents were defined: Agent 1 with  $T = 100$  and  $k = 0.05$  (which corresponded to condition B in the previous simulation series) and Agent 2 with  $T = 10$  and  $k = 0.05$  (which corresponded to condition D).

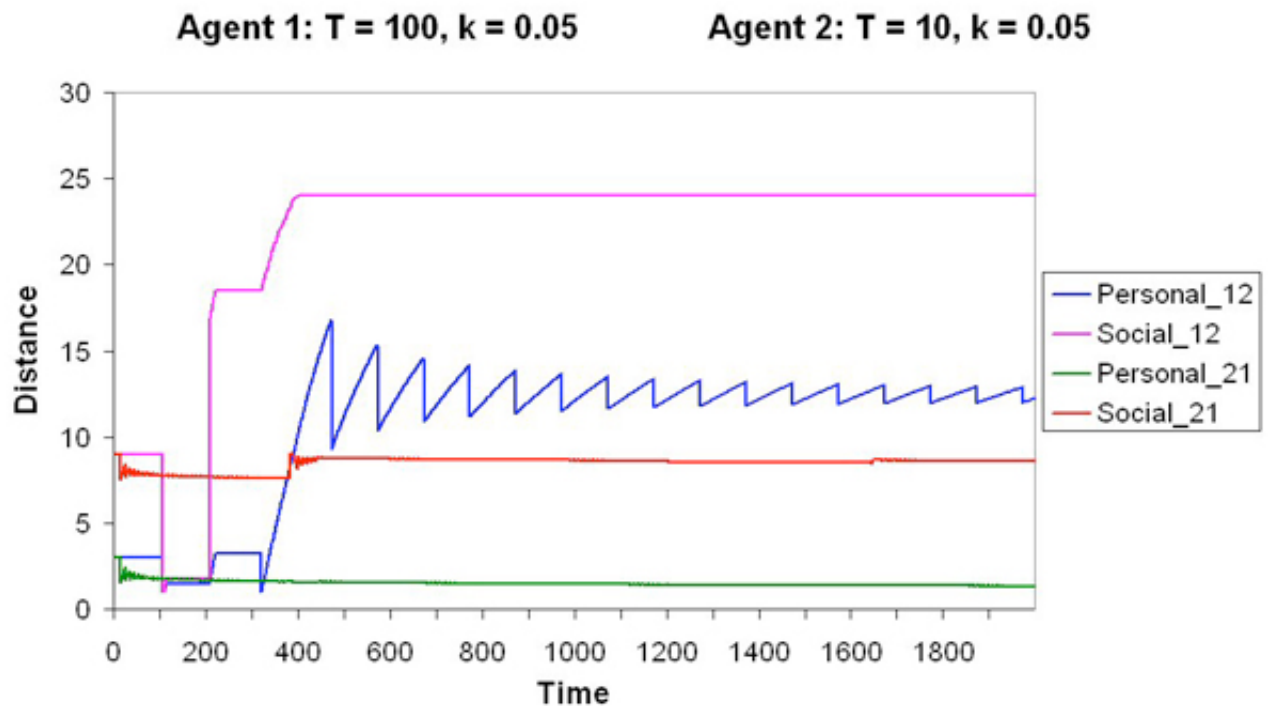


Figure 5. Evolution of personal and social distances between Agents 1 and 2 over time during the simulation

### 3.10

Figure 5 shows that the personal and social distances between the two agents ( $P_{12}$ ,  $S_{12}$ ,  $P_{21}$ , and  $S_{21}$ ) tended to reach equilibrium very much like those found under conditions B and C of the previous simulation; equilibrium values were  $P_{12} = 24$  and  $S_{12} = 12$  (as under condition B), and  $P_{21} = 2$  and  $S_{21} = 9$  (as under condition C). In summary, equilibrium values of personal and social distances for a given agent were not influenced by the other agents' values for parameters  $T$  and  $k$ , and were consistent only with the agent's own  $T$  and  $k$  parameters.

### 3.11

In a fourth series of simulations, we compared  $P_{ij}$  and  $S_{ij}$  equilibrium values when the agents that interacted had identical values for  $T$  and  $k$ , and when they had different  $T$  and  $k$  values. Three agents were defined with  $T$  and  $k$  values as shown in Table 2. For instance, Agent 1 (row 1) behaved towards Agent 2 (column 2) with the parameter values corresponding to condition B ( $T=100$  and  $k = 0.05$ ), and Agent 2 (row 2) behaved towards Agent (column 1) in accordance with those same values. On the other hand, Agent 1 (row 1) behaved towards Agent 3 in accordance with the parameters of condition C ( $T = 10$  and  $k = 0.5$ ) (column 3), while Agent 3 (row 3) behaved towards Agent 1 (column 1) in accordance with the parameters of condition D ( $T = 10$  and  $k = 0.05$ ).

Table 2: Values of parameters  $T$  and  $k$ . The ideal distances for each agent (rows) towards each other agent (columns) was computed in accordance with  $T$  and  $k$  values under conditions B, C, and D (for more details, see Table 1)

---

		Agent		
		1	2	3
Agent	1	-	B	C
	2	B	-	C
	3	D	B	-

---

### 3.12

The results show that  $P_{ij}$  and  $S_{ij}$  equilibrium values were as expected for all conditions (B, C, and D), regardless of the fact that  $T$  and  $k$  were identical or different for the two specific agents that interacted. When Agent 1 interacted with Agent 2,  $P_{12}$  and  $S_{12}$  had the same equilibrium values as those corresponding to condition B; the same occurred when Agent 2 interacted with Agent 1. Furthermore, when Agent 1 interacted with Agent 3, Agent 1's personal and social distances reached equilibrium values identical to those corresponding to condition C, whereas when Agent 3 interacted with Agent 1, Agent 3's personal and social distances reached values like those for condition D.

### 3.13

In conclusion, when equilibrium was reached, the agents' personal, social, and ideal distances depended on their own values for parameters  $T$  and  $k$ , which defined a *trend* for that agent. Furthermore, an emergent behavior that was observed under one of the conditions in the second simulation series, i.e., an agent with  $T=100$  and  $k=0.05$  plus a neutral agent, can be explained by the trend of the first agent.

## Second set of simulations: Macro-level spatial behavior

### 3.14

We explored the agents' macro-level spatial behavior as a function of their parameter values while paying special attention to emergent group phenomena. To that end, we carried out a first simulation series with from 3 to 20 agents with the parameter values for conditions B, C, and D corresponding to those of the previous set of simulations. The results again show that the personal and social distances for each individual agent at equilibrium agreed with those anticipated in accordance with the agent's trend, i.e., the characteristic pattern values of personal and social distances were the same under the different conditions as those obtained in the first set of simulations. Agents behaving in accordance with the parameter values of condition B developed greater personal distances than the other agents, which produced avoidance behavior in the agents behaving in accordance with condition-B parameter values; conversely, agents behaving in accordance with the parameter values of conditions C and D developed smaller personal distances and thus tended to remain closer to the other agents. These different global patterns were very clear to an observer looking at the computer screen while the simulations were running.

### 3.15

Moreover, the results of the first series of simulations showed that the *mobility* of the group (i.e., the number of time units during which the agents were moving around the room before the group reached equilibrium) was influenced by the length of time the agents remained neutral before interaction started. According to our model, in the beginning, an agent ( $i$ ) remained neutral until it encountered another agent ( $j$ ), i.e., when  $d_{ij}(t) \leq S_{ij}(0)$  for the first time; therefore, agents did not interact during a variable number of time units after the simulation started. If an agent's first encounter was delayed with respect to the first encounter of the other agents, the first agent's time counter was different from the other agents', making it take longer for the group to reach equilibrium. As a result, the overall dynamics observed on the computer screen was of greater group mobility. Moreover, delayed agents moved randomly during the first time

units of the simulation, while the other agents did not. Therefore, the delayed agents tended to invade the other agents' personal space, which produced two kinds of behavior: avoidance (as observed in the emergent chase behavior in the second simulation) or approach (when the delayed agents left the other agents' social space, which provoked approaching behavior in the other agents). This process delayed overall equilibrium. Finally, we also found that the greater the number of agents making up the group, the faster the agents reached equilibrium.

### 3.16

In a second series of simulations, we focused on the effects of the  $T$  and  $k$  parameters on the mobility of the group. We defined a group of four agents, two of which behaved in accordance with the parameter values of condition B (Agent 1 and Agent 2) and the other two in accordance with the parameter values of condition C (Agent 3 and Agent 4), and then observed the number of time units the agents moved around the room before the group reached equilibrium. More simulations were carried out varying the agents' parameters, which we found produced variations in the group's mobility: (a) when the  $T$  parameter was changed from  $T=100$  to  $T=10$  for Agent 1, Agent 2 or both of them, overall mobility decreased; (b) when the  $T$  parameter was changed from  $T=10$  to  $T=100$  for Agent 3, Agent 4 or for both of them, overall mobility increased; (c) when all the agents were assigned the values  $k=0.05$  and  $T = 80, 100, 120,$  and  $140$ , overall mobility increased as  $T$  increased. Hence, overall mobility clearly depended on the values of parameters  $T$  and  $k$ .

### 3.17

In summary, in the second set of simulations we observed that the parameters of the agents, i.e., the trend of each agent with respect to the other agents, determined the group's observed dynamics at the macro-level behavior, and provoked the emergence of avoidance and approach behaviors. Also, the group's mobility increased the longer the agents remained neutral during the early time units of the simulation. Mobility also increased the higher the values of parameters  $T$  and  $k$ , and when the number of agents was lowered.

### 3.18

Moreover, compared with the first set of simulations (in which only two agents were present), more complex group behavior was observed when a larger group of agents was defined; their global behavior, as observed on the computer screen while the simulation was running, was more diverse, as each agent reacted to several agents at the same time.



## Conclusions

### 4.1

The main objective of this paper was to demonstrate that our model could be used to explain the behavior observed in a group of people interacting in a closed space (such as a cocktail party), based on dyadic and local interactions using a bottom-up approach. We have briefly discussed the minimum-dissatisfaction model (MD) and used it to define the dynamics of the spatial behavior of the group. In our simulations, we explored the effects of the critical adaptation time ( $T$ ) and the incremental parameter ( $k$ ) on the function generating  $D_{ij}$  and, based on that, we observed the dynamics of the macro-level spatial behavior. The two sets of simulation results show that several agents interacting with the function generating  $D_{ij}$  in the MD model leads to the emergence of unexpected overall behavior similar to that of a group of individuals in a closed space. As discussed in the introduction, this behavior can be described but not explained from a macro-level point of view, i.e., no general rules can be stated using a classic top-down approach. In this paper, we show that it is more advantageous to describe spatial processes using a bottom-up approach, and to define the spatial behavior in a closed room as an emergent process resulting from the function governing the evolution of the personal space of each agent at the micro level.





## Notes

<sup>1</sup> An observed global phenomenon is called emergent when it arises from the nonlinear parallel interactions of a larger set of simpler elements. For a definition of emergence, see Darley (1994).

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