

# First-principles calculations of tetragonal FeX (X = S, Se, Te): magnetism, hyperfine-interaction, and bonding

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## Abstract

Magnetic ground states, local crystallographic environment of Fe, and hyperfine interaction parameters in tetragonal FeX (X = S, Se, Te) are investigated by means of density functional theory (DFT) calculations using augmented plane waves plus local orbitals (APW+lo) method. We use several different magnetic configurations to evaluate the magnetic and electronic properties of this system, as well as the hyperfine interaction parameters at Fe lattice site. The results obtained for the ground state collinear anti-ferromagnetic arrangement relatively well reproduce the quadruple splitting and isomer shifts from the available Mössbauer measurements. The Bader's atoms in molecule charge density analysis indicates bonding of closed-shell type and a sizable charge transfer from Fe to X. The system properties are sensitive to the structural optimization of the position of the chalcogen atom with respect to the iron plane.

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## 1. Introduction

Tetragonal FeX ( $X = \text{S, Se, Te}$ ) belong to the class of iron-based superconductors with layered structure. The unconventional properties of these Fe-chalcogenides have recently attracted a lot of research interest [1–6]. This is related to the still not yet understood interplay between superconductivity and magnetism. The fact that the iron atom is important for coexistence of superconductivity and magnetism has also initiated several Mössbauer studies [7–9]. Mössbauer spectroscopy is a locally sensitive experimental method for probing the electronic and magnetic environment around the Fe ions. In essence, these studies have found no measurable hyperfine magnetic field at the Fe lattice site, and a relatively low quadrupole splitting with a weak temperature dependence.

The itinerant nature of the spin fluctuations in tetragonal FeX has been proposed as one of the mechanisms of high-temperature superconductivity that would also explain the lack of measurable magnetic field in a typical Mössbauer experiment [10].

It is clear that the electronic structure of these materials is important for understanding of their properties. Whereas there are several ab-initio density functional theory (DFT) studies [11–14] dealing with the structural, magnetic, and electronic properties of these materials, to our knowledge, there are no systematic calculations of the hyperfine-interaction (HI) parameters and properties of the local charge distribution and chemical bonds.

Here we present DFT calculations of the electronic structure, magnetic properties, finally yielding HI parameters, and local bonding in the tetragonal FeS, FeSe, and hypothetical pure FeTe. The magnetic calculations were performed assuming ferromagnetic, checkerboard anti-ferromagnetic, and collinear-anti-ferromagnetic configurations. The bi-collinear magnetic order was also checked as a possible magnetic ground state of FeTe. Here, one takes into account the fact that only tetragonal  $\text{Fe}_{1+y}\text{Te}$  occurs in nature.

There is a relatively good agreement between the calculated and experimental HI parameters, especially considering the trends across the investigated

systems. This could indicate that excess interstitial Fe does not have significant influence on HI parameters and local bonding. We used both the experimental and the optimized lattice parameters to test the effects of optimization on the locally sensitive parameters. We found that nearly all calculated properties are sensitive to the value of the internal parameter  $u$  (i.e., the displacement of the chalcogen atom out of the iron plane).

In contrast to the Mössbauer spectroscopy experiments, our calculations show that, locally, there are sizable hyperfine magnetic fields ( $B_{\text{hf}}$ ). This is not unexpected, and in agreement with the other available theoretical studies that also predict sizable Fe magnetic moments. The chemical bonds between the atoms are found to be of closed-shell type.

## 2. DFT Calculations

To calculate the electronic structure of  $\text{Fe}X$  ( $X = \text{S}, \text{Se}, \text{Te}$ ), we employed the all-electron WIEN2K code [15] based on the density functional theory (DFT) and the augmented plane wave (APW) plus local orbitals (lo) scheme. The WIEN2K code is one of the most accurate codes [16] available for performing ab-initio calculations in solids.  $\text{FeS}$ ,  $\text{FeSe}$ , and  $\text{FeTe}$  have a very simple structure (see Figure 1). The iron atoms are at the  $(2a)$ , while the chalcogen atoms are at the  $(2c)$  Wyckoff position.

Muffin-tin spheres of 2.17, 1.77, 1.97, and 2.17 a.u. were chosen for Fe, S, Se, and Te respectively. To relax the internal atomic position of the anions in the tetragonal  $\text{Fe}X$  ( $X = \text{S}, \text{Se}, \text{Te}$ ) structure (space group  $P4/nmm$ ) and to obtain all ground state properties of interest here we used a  $k$ -point grid of  $15 \times 15 \times 11$  points. Equivalent grids were used for the magnetic calculations that required larger unit cells (Figure 1). The  $RK_{\text{max}}$  parameter, which determines the size of the basic set, was set to 8.5 for all calculations. The self-consistent charge convergence criterion was  $5 \times 10^{-5}$ . The maximum force between atoms was converged to less than  $0.025 \text{ eV}\text{\AA}^{-1}$ .

In the WIEN2K code, the electric field gradient ( $EFG$ ) tensor is obtained

60 by solving the Poisson's equation directly from the non-spherical charge density  
[17]. The Mössbauer isomer shift ( $\delta$ ) are evaluated from the self-consistent  
electron density using the procedure described in Ref. [18]. Without orbital  
magnetism, the dominant contribution to the hyperfine fields comes from the  
Fermi contact term, which is determined in scalar-relativistic calculations from  
65 the spin density at the nucleus [19, 20].

Following the approach of Mazin et al. [12], both the standard local (spin)  
density approximation [L(S)DA] and the gradient corrected (GGA) implemen-  
tation [21] to the LDA were used. The LDA is known to describe the magnetic  
details of itinerant magnetic systems more accurately, whereas the GGA gives  
70 better results for structural optimization. Therefore, the structural param-  
eters in our calculations were obtained by using the GGA approximation in the  
non-magnetic case. This is the closest approximation to the experimentally de-  
termined paramagnetic state. With the optimized parameters, we then switch  
to LDA calculations to obtain the hyperfine interaction [22], magnetic and elec-  
75 tronic properties of the system.

We considered several magnetic orderings: non-magnetic (NM), ferromag-  
netic (FM), checkerboard anti-ferromagnetic (AFM1), and collinear anti-ferromagnetic  
(AFM2) (see Figure 1). Along the  $z$  axis, the  $\text{FeX}$  layers are held together by  
weak van der Waals forces. Because of the van der Waals interaction, it is not  
80 possible to determine the total energy minimum along this axis within the DFT  
formalism. Hence, the optimization of the  $c$  lattice parameter was not included.

For each of the magnetic states, we examined two scenarios: (i)  $a$ ,  $c$ , and  $u$   
(internal parameter) fixed to their corresponding experimental values and (ii)  
 $a$  and  $u$  optimized from NM GGA calculations, with  $c$  fixed to its experimental  
85 value. To obtain the optimized geometry in the  $x - y$  plane, the total energy  
was calculated for a set of  $a$  values between +4 and -4 % of the experimental  
lattice parameter. Before as well as after the optimization of  $a$ , we relaxed the  
only internal degree of freedom in this structure,  $u$ , which is the  $z$ -coordinate  
of the anions. This step was found to be crucial, because optimizing  $a$  without  
90 a previously optimized  $u$  gives values too far away from the experimental  $a$

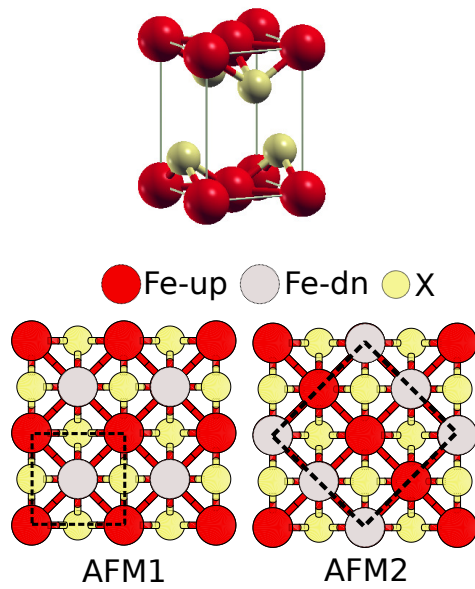


Figure 1: (Color online) Tetragonal unit cell of  $\text{FeX}$  ( $X = \text{S, Se, Te}$ ) (top), along with a top view of the checkerboard anti-ferromagnetic (AFM1), and collinear anti-ferromagnetic (AFM2) order (bottom). The dashed lines denote the corresponding unit cells used in the calculations. The upper image is obtained by using the `xCRYSDEN` visualization program [23].

Table 1: Total energy differences ( $\Delta E$  in meV/f.u.) for different magnetic configurations of FeS, FeSe, and FeTe. The results are given with respect to the NM energy, set to 0. The theoretical lattice parameters are obtained from GGA NM calculations with experimental  $c$  value (see text).

	GGA			LDA		
	FM	AFM1	AFM2	FM	AFM1	AFM2
$\Delta E$ FeS-exp.	0	-50	-79	0	-4	-21
$\Delta E$ FeS-theor.	0	+0.001	-2.3	0	-0.001	-0.08
$\Delta E$ FeSe-exp.	+42.2	-168.5	-210.8	-0.2	-74.8	-104.2
$\Delta E$ FeSe-theor.	0	-27.7	-53.4	0	+0.3	-14.0
$\Delta E$ FeTe-exp.	-295.9	+477.1	-336.6	-168.8	-156.5	-220.1
$\Delta E$ FeTe-theor.	-8.3	+665.2	-120.4	-0.8	-26.3	-57.7.0

parameter.

### 3. Ground State Magnetic Configuration

The difference in total energy calculated for the various magnetic configurations is given in Table 1.  $\Delta E$  denotes the total energy in meV per formula unit (f.u.) relative to the energy of the NM state, set to 0. We see that the AFM2 state is the magnetic ground state of all three systems within theoretical framework we considered. The AFM2 state has the largest magnetic stabilization energy when either experimental or theoretical parameters are used. AFM2 is also the ground state regardless of the functional used. This state consists of alternating stripes of parallel Fe spins coupled antiferromagnetically to one another.

This agrees well with the DFT study of FeS based on a plane-wave basis set and ultrasoft pseudopotentials by Kwon et al. [11]. The collinear-ordered FeSe state was also found to be the ground state of this system in other DFT calculations [13, 14].

For FeTe, however, Ma et al. [14] found that the bi-collinear state is ener-

getically more favorable (by 10 meV/f.u.) than the collinear state. They used a plane-wave basis set method, the same PBE flavor of the GGA approximation as in our case, and lattice parameters fixed to the experimental values.

110 After testing the bi-collinear state in the experimental and theoretical geometries, we found that this state has higher energy by 38, 12, and 42 meV/f.u. than the collinear configuration when using the LDA theoretical, LDA experimental, and GGA theoretical parameters, respectively. Interestingly, only when the experimental lattice parameters are used in combination with the GGA approximation (as in Ref. [14]), the bi-collinear state is the magnetic ground state  
115 of FeTe (lower in energy by 6 meV).

Our calculations show that for FeS and FeSe, the bi-collinear state always has higher energy than the collinear magnetic arrangement in both optimization scenarios. In fact, for FeS, taking into account all the different magnetic  
120 configurations considered here, including the NM case, the bi-collinear state has always the highest total energy.

The FeS and FeSe tetragonal structures cannot sustain the ferromagnetic ordering, with the Fe atoms barely retaining any magnetic moment at all. For these systems, the FM state essentially converges to the NM state regardless  
125 of optimization scheme used. In contrast, FeTe has a stable FM ordering with sizable stabilization energy. On the other hand, the stability of the checkerboard AFM1 state strongly depends on the system in question, the value of the structural parameters, and functional type.

Experimental work has confirmed the absence of long range magnetic order  
130 in tetragonal FeSe [24, 25]. This is also the case for tetragonal FeS where the local probe muon spin resonance measurements only found coexistence of superconductivity with small moment ( $(10^{-2} - 10^{-3}) \mu_B$ ) magnetism from the impurity phase [4].  $\text{Fe}_{1+y}\text{Te}$  features bicollinear AFM order [26, 27].

## 4. Structural properties, magnetism, and hyperfine-interaction parameters

135

### 4.1. HI parameters and Magnetic Ordering

The calculated HI parameters strongly depend on the type of magnetic ordering and functional of the electron density. To illustrate this, in Figure 2 we show the hyperfine fields,  $B_{\text{hf}}$ , electric field gradients,  $V_{zz}$ , and chemical shifts  
140 ( $\delta_{\text{CS}}$ ), as a function of the different magnetic arrangements in the LDA and GGA approximation. The hyperfine magnetic field increases its value when going from left to right, following the trend of the increasing Fe magnetic moments (not shown here). The electric field gradients in FeS seem to be relatively flat with respect to the magnetic ordering and functional used, but the same cannot  
145 be said about their values in FeSe and FeTe. The chemical shifts are only slightly dependent on the type of magnetic ordering.

In the following we will turn our attention to the structural, magnetic and HI parameters as calculated within the LDA approximation in the collinear AFM2 magnetic ground state. We will use these results, as obtained in the experimental  
150 and optimized geometries, to compare with the available experimental results. As already indicated, the LDA approximation was used as it is believed to more accurately describe the properties of the itinerant magnetic systems [12].

### 4.2. Collinear Anti-ferromagnetic Ground State

#### 4.2.1. Geometry Optimization

Our relaxation procedure gives theoretical  $a$  values very close to the experimental lattice parameters (0.8% deviation for FeS, 0.9% for FeSe, and 0.1% for  
155 FeTe). There is a much larger deviation of the calculated  $u$  parameter, however, with the theoretical Fe-X nearest neighbor (NN) distances underestimated by 0.3% for FeS, overestimated by 2.2% for FeSe, and underestimated by 4.4% for  
160 FeTe.

The symmetry of the unit cell is such that there are no forces acting on the Fe ions. Consequently the Fe-Fe second neighbor (NNN) distances,  $d_{\text{Fe-Fe}}$ , are determined from the value of the lattice parameter  $a$  only.



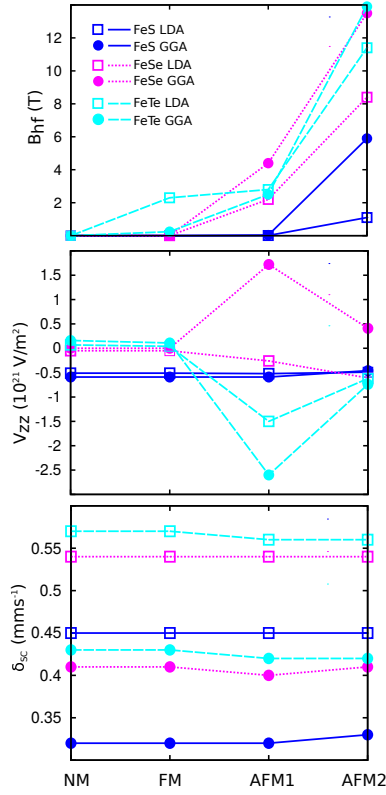


Figure 2: (Color online) Hyperfine fields,  $B_{hf}$ , electric field gradients,  $V_{zz}$ , and chemical shifts,  $\delta_{CS}$ , at Fe lattice site in tetragonal FeS, FeSe, and FeTe. The theoretically optimized lattice parameters were used. NM, FM, AFM1, and AFM2 denote the non-magnetic, ferromagnetic, checkerboard anti-ferromagnetic, and collinear anti-ferromagnetic states, respectively.

Table 2: Calculated structural, magnetic, and HI parameters of FeS, FeSe, and FeTe within the LDA approximation: (i)  $a$ ,  $c$ , and  $u$  fixed to the experimental values; (ii)  $a$  and  $u$  optimized from NM GGA calculations,  $c$  fixed to the corresponding experimental value. In all cases the AFM2 magnetic ground state configuration was assumed.

(i) WIEN2k calculations with experimental lattice parameters $a$ , $c$ , and $u$			
	FeS	FeSe	FeTe
$a$	3.674 <sup>a</sup>	3.771 <sup>b</sup>	3.825 <sup>c</sup>
$c$	5.023 <sup>a</sup>	5.522 <sup>b</sup>	6.291 <sup>c</sup>
$u$	0.260 <sup>a</sup>	0.267 <sup>b</sup>	0.279 <sup>c</sup>
$d_{\text{Fe-S}}$	2.184	2.393	2.596
$d_{\text{Fe-Fe}}$	2.598	2.667	2.705
$ \mu_{\text{Fe}} $ ( $\mu_{\text{B}}$ )	1.16	1.87	2.10
$B_{\text{hf}}$ (T)	10.0	15.1	15.6
$V_{zz}$ ( $10^{21}$ Vm <sup>-2</sup> )	-0.45	0.51	0.99
$\eta$	0.8	0.36	0.52
$\delta_{\text{CS}}$ (mms <sup>-1</sup> )	0.55	0.62	0.61
(ii) WIEN2k calculations with theoretical lattice parameters $a$ and $u$			
	FeS	FeSe	FeTe
$a$	3.643	3.737	3.828
$c$	5.023 <sup>a</sup>	5.522 <sup>b</sup>	6.291 <sup>c</sup>
$u$	0.237	0.245	0.252
$d_{\text{Fe-X}}$	2.178	2.446	2.483
$d_{\text{Fe-Fe}}$	2.576	2.761	2.707
$ \mu_{\text{Fe}} $ ( $\mu_{\text{B}}$ )	0.14	0.95	1.39
$B_{\text{hf}}$ (T)	1.3	8.4	11.4
$V_{zz}$ ( $10^{21}$ V/m <sup>2</sup> )	-0.49	-0.62	-0.62
$\eta$	0.02	0.85	0.48
$\delta_{\text{CS}}$ (mms <sup>-1</sup> )	0.45	0.54	0.56

<sup>a</sup>Experimental value from Ref. [28]

<sup>b</sup>Experimental value from Ref. [29]

<sup>c</sup>Experimental value from Ref. [30]

### 4.2.2. Magnetism

165 Table 2 summarizes the calculated magnetic and hyperfine interaction parameters. We see two clear trends: the iron magnetic moments,  $\mu_{\text{Fe}}$ , and the hyperfine fields,  $B_{\text{hf}}$ , increase along the sequence FeS $\rightarrow$ FeSe $\rightarrow$ FeTe, while the structural optimization brings these values systematically down.

The calculated LDA Fe magnetic moment in FeS without structural opti-  
170 mization of  $1.16 \mu_{\text{B}}$  is in very good agreement with the averaged itinerant spin fluctuations experimental estimate of  $1 \mu_{\text{B}}$  [11]. In the optimization,  $\mu_{\text{Fe}}$  is reduced to  $0.14 \mu_{\text{B}}$ . The calculated  $\mu_{\text{Fe}}$  in FeSe and FeTe of  $1.87 \mu_{\text{B}}$  and  $2.10 \mu_{\text{B}}$  can be compared with the values of  $2.01 \mu_{\text{B}}$  and  $2.16 \mu_{\text{B}}$  from projector augmented wave calculations for the equivalent single stripe configuration [13].  
175 The relaxation of the structures further suppresses these values to  $0.95 \mu_{\text{B}}$  and  $1.39 \mu_{\text{B}}$ , respectively. Our calculations indicate that  $\mu_{\text{Fe}}$  is extremely sensitive to changes of  $a$  and  $u$  (and also  $c$ ). DFT calculations of similar systems [12] have also shown sensitivity of the magnetic properties to the details of the structure, DFT methodology, and type of functional used.

180 The magnetic hyperfine field at the Fe nucleus reflects the  $s$ -electron polarization. We can distinguish a valence contribution to the total  $B_{\text{hf}}$  and a core contribution originating from the polarization of deep level  $s$ -electrons. In all systems, the core contribution is always larger in absolute value and of opposite sign with respect to the valence contribution to the total field. These two  
185 contributions cancel each other and give the values presented in Table 2.

The fact that Mössbauer spectroscopy shows no detectable  $B_{\text{hf}}$ , while the calculations predict sizable  $B_{\text{hf}}$  (between 1.3 and 15.6 T depending on the system and optimization scenario), can probably be explained by the strong itinerant nature of the spin fluctuations in this system.

### 190 4.2.3. Mössbauer Isomer Shifts and Electric Field Gradients

The measured Mössbauer isomer shift consists of the chemical shift ( $\delta_{\text{CS}}$ ) and the second order Doppler shift ( $\delta_{\text{SOD}}$ ). The sign of the  $\delta_{\text{SOD}}$  is negative and vanishes at 0 K. Therefore, the chemical shift,  $\delta_{\text{SC}}$ , is in fact the only

contribution to the isomer shift at 0 K.

195 Comparing the results of the calculations of the Mössbauer parameters with the available experimental results, we can see that the relatively low value of the principal component  $V_{zz}$  of the electric field gradient at Fe site is very well reproduced. Using the approximate formula,  $EFG[10^{21} \text{ Vm}^{-2}] \approx 6\delta[\text{mm/s}]$  [31], we can estimate the experimentally determined  $V_{zz}$ , as extracted from the  
200 measured quadrupole splitting.

The calculated  $V_{zz} = -0.49 \times 10^{21} \text{ Vm}^{-2}$  at Fe in FeS (LDA, optimized geometry, 0 K) can be compared with the measured room temperature (RT) values of 0.36(6) and  $0.42(12) \times 10^{21} \text{ Vm}^{-2}$  (sign undetermined) [4, 7]. For FeSe and FeTe the calculated  $V_{zz}$  values after optimization are virtually identical (-0.62  
205  $\times 10^{21} \text{ Vm}^{-2}$ ). This result can be compared with the available experimental data. The values for FeSe are in the range from 1.08 to  $1.74 \times 10^{21} \text{ Vm}^{-2}$  obtained at RT [8, 9, 32–35] pointing towards  $EFG$  off-stoichiometry dependence. The relative errors of the cited experimental values are within (4 - 62)%. At lower temperatures, extracted values for  $V_{zz}$  are  $1.722(6) \times 10^{21} \text{ Vm}^{-2}$  (120  
210 K) [8],  $1.80(12) \times 10^{21} \text{ Vm}^{-2}$  (80 K) [32] and  $2.04(18) \times 10^{21} \text{ Vm}^{-2}$  (5 K) [32]. The temperature dependence of the quadrupole splitting for FeSe seems to be pretty flat [8, 32]. The extracted  $V_{zz}$  values for FeTe are in range from 1.53 to  $1.92 \times 10^{21} \text{ Vm}^{-2}$  obtained at RT [9, 35–38]. The relative errors of the cited experimental values are within (2 - 53)%. For FeTe, it was found that the  
215 quadrupole splitting is increasing with decreasing temperature following  $T^{3/2}$  power law [36].

With these relatively low absolute values, it is difficult to expect perfect agreement. The  $EFG$  remains low, but it does seem to be moderately sensitive to structural optimization (see Figure 3). The quadrupole splitting is essentially  
220 the same in a wide temperature range for FeSe and FeTe as found experimentally [32, 36]. The similar is found in our calculations. For all three investigated compounds, the  $p$ - $p$  and  $d$ - $d$  contributions to the  $EFG$  are of similar magnitude but of opposite sign. Because of their mutual cancellation, the  $V_{zz}$  values in these compounds are small. Also, the  $p$ - $f$  contribution to the  $EFG$  at Fe site is almost

225 zero for FeTe and is increasing with lowering the atomic number of chalcogen  
 atom. The discrepancy between the measured and calculated results could be  
 partly explained by the fact that the investigated samples were off-stoichiometric  
 with Fe in excess [32, 36] affecting the overall structure, particularly the local  
 structure, and therefore the measured quadrupole splitting. Consequently, the  
 230 off-stoichiometry present in the compound would shift the Fermi level. Since, the  
*EFG* is very sensitive to the density of states at the Fermi level, it is important  
 to have insight into the anisotropy of *p*- and *d*-electron density at the Fermi level.  
 For the  $P4/nmm$  space group and the  $2a$ -Fe site with  $D_{2d}$ -point symmetry, the  
 formulas for the *p*-, and *d*-anisotropy functions can be found in Ref. [17]. The  
 235 *p*- and *d*-anisotropy functions for FeS have negligible slopes in the vicinity of  
 the Fermi level. Therefore FeS-*EFG* is the least affected by the possible Fermi  
 level shifts, e.g., by stoichiometry. The similar might be said for the slope of  
*p*-anisotropy close to the Fermi level for both FeSe and FeTe (0.04 states/eV).  
 The slopes of the *d*-anisotropy function in the vicinity of the Fermi level for  
 240 FeSe and FeTe are significant ( $\approx 2.5$  and  $\approx 2$  states/eV, respectively), which in  
 case of various off-stoichiometries could induce differences in the *EFGs*.

There is an unknown effect of the possibly present magnetic hyperfine field  
 (out of the time scale of the Mössbauer measurements) on the quadrupole split-  
 ting measured in the experiment that could be an additional reason for the  
 245 observed discrepancies between calculation and experiment.

The direction of the principal axis of the calculated *EFG* coincides with the  
*z*-axis of the crystal cell in all of the investigated systems. While the asymmetry  
 parameter  $\eta$  equals to zero for the NM, FM, and AFM1 magnetic configurations,  
 the ground state collinear AFM2 configuration breaks the axial symmetry, and  
 250  $\eta$  assumes non-zero values (Table 2). Mössbauer spectroscopy cannot measure  
 $\eta$  directly.

The calculated  $\delta_{CS}$  of the Fe atom was obtained by contrasting the electron  
 density at the Fe nucleus with the corresponding reference value of bcc  $\alpha$ -Fe,  
 as described in Ref. [18]. The calculated value of  $\delta_{CS}$  in FeS is  $0.45 \text{ mms}^{-1}$ .  
 255 The measured  $\delta$  values of  $0.373 - 0.44 \text{ mms}^{-1}$  [7, 39, 40] are obtained at room

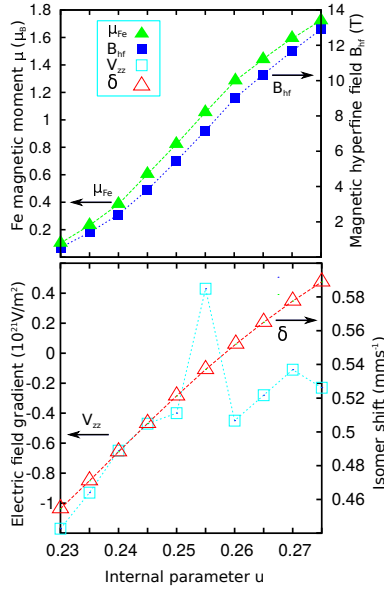


Figure 3: (Color online) Fe magnetic moment, magnetic hyperfine field, electric field gradient, and isomer shift as a function of the internal parameter  $u$ .

temperature (rel. errors (0.3 - 7)%),  $0.53 \text{ mms}^{-1}$  at 11 K [40], and  $\approx 0.58$   $\text{mms}^{-1}$  at 1.7 K [39]. The  $\delta_{\text{SOD}}$  contribution is expected to decrease with decreasing temperature, with low  $\delta_{\text{SOD}}$  contribution at low temperatures. In general, the sensitivity of the density charge distribution on the compound off-  
 260 stoichiometry could be the reason for the discrepancy of the experimentally and calculated chemical shift. Therefore, the calculated  $\delta_{\text{CS}}$  matches relatively well the measured ones.

Similarly to the  $V_{zz}$  parameters, the calculated  $\delta_{\text{CS}}$  values in FeSe and FeTe are again very close ( $0.54$  and  $0.56 \text{ mms}^{-1}$ ), which can be contrasted to the  
 265 measured  $\delta$  of  $0.45 - 0.48 \text{ mms}^{-1}$  (rel. errors within (0.4 - 38)%) obtained for both compounds at room temperature [8, 9, 32, 34–38]. Additionally, the measured  $\delta$  at low temperatures are  $0.5476(3) \text{ mms}^{-1}$  (120 K) [8],  $0.55(2) \text{ mms}^{-1}$  (80 K) [32], and  $0.59(3) \text{ mms}^{-1}$  (5 K) [32] for tetragonal FeSe. Our calculated results matches very well the experimental ones.

270 While not exactly matching the experimental results, our calculations clearly

reproduce the experimental trends. One could, at least to a degree, expect an improvement in the agreement between the calculated and experimental HI parameters after performing a complete structural optimization along the  $z$ -axis, which would require going beyond the employed DFT scheme in this work.

#### 275 4.2.4. *The Influence of Anion Height*

From our results one can see that small changes of  $u$  and  $a$  have a substantial effect on the calculated properties, and especially on  $\mu_{\text{Fe}}$  and  $B_{\text{hf}}$ . To show this, in Figure 3 we present  $\mu_{\text{Fe}}$ ,  $B_{\text{hf}}$ ,  $V_{zz}$ , and  $\delta_{\text{CS}}$  in FeS as a function of  $u$ . The range of  $u$  was chosen in such a way as to span between the experimental and  
280 theoretically determined values and extend somewhat beyond these limits. It is clear that  $\mu_{\text{Fe}}$  and  $B_{\text{hf}}$  exhibit drastic, albeit monotonic changes, whereas  $V_{zz}$ , and especially  $\delta_{\text{CS}}$  are more stable with respect to changes of  $u$ . Even though  $V_{zz}$  changes sign, its absolute value is still relatively low. Similar plots can be produced for FeSe and FeTe as well. Because of this strong dependence on  $u$ ,  
285 i.e., on the chalcogen atom height from the iron plane, the question of optimal optimization along the  $z$ -axis of the unit cell of these materials, currently difficult to perform within the DFT theory, becomes very important. The anion height has been shown to have strong correlation with the superconducting properties of the iron-based superconductors [41].

## 290 5. Bader analysis

The calculated Mössbauer parameters reflect the properties of the electronic charge density around the Fe ions. To obtain more information on the charge distribution between the atoms and to elucidate the type and topology of the chemical bonds, we employed the Bader’s atoms in molecule theory [42], as  
295 implemented in the CRITIC2 code [43].

Table 3 gives the Bader analysis on the NM structures with experimental  $a$ ,  $c$ , and  $u$  parameters within the LDA approximation.

As can be seen, Bader’s theory predicts a sizable charge transfer from Fe to the chalcogen atom, with the largest amount of charge transferred in FeS.

Table 3: Bader charges and volumes of Fe and chalcogen atoms in FeX ( $X = \text{S, Se, Te}$ ).

The units are in a.u..

	Atom	Bader charge	Volume
FeS	Fe	25.41	80.0
	S	16.58	149.2
FeSe	Fe	25.56	88.4
	Se	34.43	176.5
FeTe	Fe	25.81	97.7
	Te	52.18	212.8

300 The volumes in Table 3 are defined as space enclosed by a zero flux surface  
of the gradient field of electron density, and the Bader charges are obtained by  
integrating the charge contained in these volumes. As the size of the cell and the  
interatomic distances are increased, the Bader volumes are increased too, while  
the transferred charge to the chalcogen atom is reduced. This also indicates a  
305 reduction of the polar character of the Fe-X bond.

The data related to the bond critical points in this system are presented in  
Table 4. In all three cases the Morse rule [42] for periodic systems was satisfied.  
Several different types of bonding critical points (*bcp*) were found: (1) between  
Fe and the NN chalcogen atom, (2) in the center of the unit cell connecting two  
310 chalcogen atoms from two different  $x - y$  planes, and (3) between two in-plane  
Fe atoms in FeSe and FeTe. The latter *bcp* is missing in the FeS system, so  
in this compound two Fe atoms seem to be bonded only indirectly, via the S  
atoms.

The first type of *bcp* is positioned asymmetrically with respect to the center  
315 of the bond-path, closer to the iron ion. This asymmetry is more pronounced  
as we go down the sequence FeS $\rightarrow$ FeSe $\rightarrow$ FeTe. The other two types of *bcp* are  
found in the center of the corresponding bonds. As an example, the contour  
map representation of the charge density of FeS and the position of the critical  
points is given in Figure 4.



Table 4: Bond critical point (*bcp*) data in FeX ( $X = \text{S, Se, Te}$ ). R1 is the distance along the bond path from the first atom to the *bcp*, while R2 is the distance from the *bcp* to the second atom.  $\rho(\text{bcp})$  and  $\nabla^2\rho$  are the charge density and Laplacian at the critical point. The units are in a.u..

	Bond	R1	R2	R1/R2	$\rho(\text{bcp})$	$\nabla^2\rho$
FeS	Fe-S	2.036	2.227	0.914	0.086	0.138
	S-S	3.351	3.351	1.000	0.008	0.023
FeSe	Fe-Se	2.126	2.397	0.887	0.072	0.096
	Fe-Fe	2.519	2.519	1.000	0.041	0.045
	Se-Se	3.502	3.502	1.000	0.008	0.019
FeTe	Fe-Te	2.203	2.702	0.815	0.061	0.014
	Fe-Fe	2.555	2.555	1.000	0.039	0.035
	Te-Te	3.665	3.665	1.000	0.010	0.017

320 The charge density at the *bpc*,  $\rho(\text{bcp})$ , is a good indication of the type of the chemical bond.  $\rho(\text{bcp})$  larger than 0.2 would indicate covalent bonding. As we have  $\rho(\text{bcp}) < 0.10$  in all cases, the bonds in this system are of closed-shell type [44]. This low density is what one would expect in a system with van der  
325 Laplacian,  $\nabla^2\rho > 0$ , indicating depletion of charge density along the bond path. The F-X *bpc* densities of decreasing intensity from Fe via FeSe to FeTe indicate closed-shell bonds of increasing magnitude.

## 6. Conclusion

Using first principles calculations, we have investigated the electronic and  
330 magnetic properties, hyperfine interactions parameters, and charge density of FeX ( $X = \text{S, Se, Te}$ ). The magnetic ground state in all system has been found to be the anti-ferromagnetic collinear ordering. Even though only  $\text{Fe}_{1+y}\text{Te}$  exhibits magnetic ordering at  $T > 0$  K, there is a fair agreement between the available experimental data and the calculated values, especially considering the trends  
335 in the hyperfine interaction parameters across the investigated materials. The

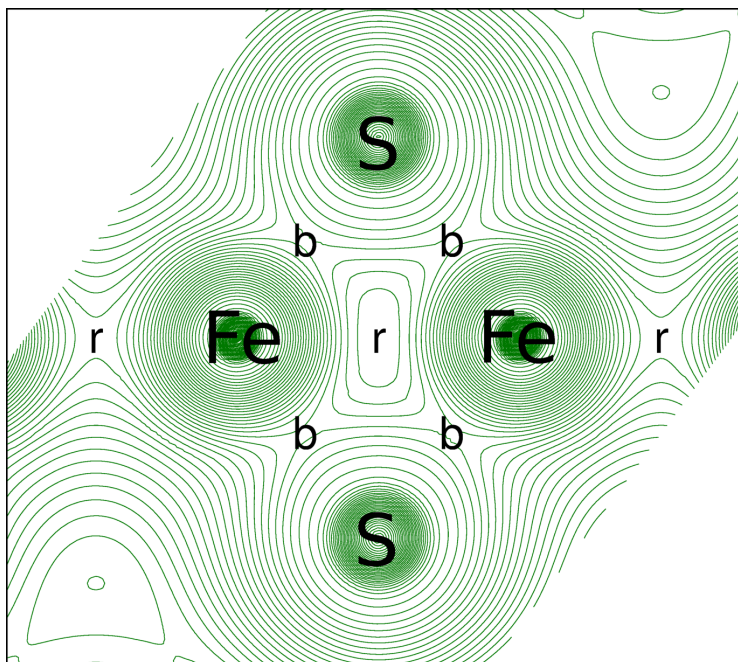


Figure 4: (Color online) Logarithmic contour map representation of the FeS charge density. The charge is presented in a plane connects two Fe atom with one NN Se atom above and another NN Se atom below the iron  $x - y$  plane.  $b$  denotes bonding critical point, while  $r$  denotes ring critical point.

calculations predict finite hyperfine magnetic fields, which, due to the itinerant nature of the system cannot be detected in Mössbauer experiments. The low values of the quadruple splitting, as well as the trend in the isomer shift values are clearly reproduced. The Fe magnetic moments, hyperfine magnetic fields, electric field gradients, are found to be extremely sensitive to the fine details of the optimization, and critically depend on the anion height (parameter  $u$ ), which cannot be accurately determined within the DFT formalism. By using Bader's atoms in molecule theory, the bonds in this system have been determined to be of closed-shell type. Our calculations indicate sizable charge transfer from the Fe to the chalcogen atoms.

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