

Fragmentation Dynamics of Ionized Rare-Gas Clusters: New Achievements

David Bonhommeau

Department of Chemistry, University of Minnesota

Principle of the Experiment (U. Buck, M. Farnik)

QMS detector



Theoretical Model (I)

• Principle of the model:

(Rg_n)_{min} $\xrightarrow{(1)}$ Rg_n $\xrightarrow{(2)}$ (Rg_n⁺)^{*} $\xrightarrow{(3)}$ fragments. (1) ZPE, (2) Vertical Ionization (\approx 70 eV), (3) Dissociation.

Theoretical Model (I)

• Principle of the model:

$$(\operatorname{Rg}_n)_{min} \xrightarrow{(1)} \operatorname{Rg}_n \xrightarrow{(2)} (\operatorname{Rg}_n^+)^* \xrightarrow{(3)}$$
 fragments.

(1) ZPE, (2) Vertical Ionization (\approx 70 eV), (3) Dissociation.

• Rg_n^+ potential-energy surfaces: The Diatomics In Molecules (DIM) model

$$H = \sum_{A} \sum_{B > A} H_{AB} - (N-2) \sum_{A} H_{A}$$

- ★ Generation of 3n potential-energy surfaces (3 by atom) for Rg⁺_n clusters in the basis of Rg⁺ effective p orbitals.
- Method more realistic than pair potentials: a matrix is built, diagonalized and the charge can therefore be delocalized.
- ★ Method less time consuming than ab initio calculations.
- ★ Method proven to be suitable for rare-gas clusters (except He).
- Method only based on the knowledge of Rg₂ and Rg₂⁺ potentials but whose accuracy may be improved (ID-ID interactions, SO coupling).

Theoretical Model (II)

• Multisurface Dynamics: The Molecular Dynamics with Quantum Transition (MDQT) method of Tully

- MDQT, aka MDET (Molecular Dynamics with Electronic Transition) or TFS (Tully's Fewest Switches), is a surface-hopping method.
- ★ Dynamics performed in the adiabatic representation.
- Nuclei are treated classically (Hamilton equation of motion for positions and linear momenta) and moves on one adiabatic surface at a time.
- ★ Electrons (or the hole) is treated quantum mechanically (Schrödinger Equation).
- * Nonadiabatic transitions, or "hops", between surfaces j and k governed by a hopping probability $g_{jk} = f(\mathbf{\dot{R}} \cdot \mathbf{d}_{jk}, c_j, c_k)$.
- ★ Velocities are adjusted at a hopping event to ensure total energy conservation.

Theoretical Model (II)

• Multisurface Dynamics: The Molecular Dynamics with Quantum Transition (MDQT) method of Tully

- MDQT, aka MDET (Molecular Dynamics with Electronic Transition) or TFS (Tully's Fewest Switches), is a surface-hopping method.
- ★ Dynamics performed in the adiabatic representation.
- Nuclei are treated classically (Hamilton equation of motion for positions and linear momenta) and moves on one adiabatic surface at a time.
- ★ Electrons (or the hole) is treated quantum mechanically (Schrödinger Equation).
- * Nonadiabatic transitions, or "hops", between surfaces j and k governed by a hopping probability $g_{jk} = f(\mathbf{\dot{R}} \cdot \mathbf{d}_{jk}, c_j, c_k)$.
- ★ Velocities are adjusted at a hopping event to ensure total energy conservation.

• Results:

- That can be compared to experiments: Ionic fragment abundances, cluster internal energies.
- That cannot be experimentally obtained: parent ion or transient species lifetimes, neutral fragment abundances, percentage of long-lived trajectories, effect of the SO coupling.

Ar_n^+ clusters: comparison to experiments



- Circles/Squares: our work without/with SO coupling (2006).
- Upward triangles: Lohbrandt et al. (2000).
- Downward triangles: Buck et al. (1986).
- Diamonds: Bastida et al. (1996).

Ref: D. Bonhommeau et al., J. Chem. Phys., **124** (18), 184314 (2006).

 $63 \dot{r} d$ OSU Conference, June 19, 2008 – p.5/12

Possible source of discrepancies

- Heating of the neutral precursor: No, since such a heating has almost no effect on fragment abundances.
- Contribution of long-lived trajectories: No, since they are too rare for $n \le 9$ to explain the discrepancy to experiment.
- Selective ionisation of some highly excited electronic states: No, since a selective ionization would not lead to as many Ar⁺ fragments for n = 9 and the electron-impact ionization cross section of *s* orbitals is 20 to 30 times lesser than for *p* orbitals.
- Secondary ionisation of neutral fragments: Possible, since characteristics times of the dynamics are of the order of the picosecond whereas neutral clusters remain $\approx 1 \ \mu$ s in ionization chamber.
- Experimental resolution and/or theoretical approximations: Possible. In particular, old experiments were found not to be sufficiently resolved.

New investigation of Ar_n^+ dissociation



- Our work (2006) and experiment by Buck (2006).
- Qualitative and quantitative agreement for all the cluster and fragment sizes.
- Extension to krypton and xenon clusters: discrepancies to experiment are much more marked for krypton and xenon clusters with a propensity to form monomers (≥ 90%) that is not theoretically found.

Ref: D. Bonhommeau et al., Int. Rev. Phys. Chem., **26** (2), 353-390 (2007).

\mathbf{Rg}_n^+ clusters: parent ion lifetimes



• *n*-depedence:

- ★ Decrease for Ne $_n^+$, decrease and increase for Ar $_n^+$ and Kr $_n^+$.
- * Kr_n^+ : minimum for Kr_8^+ , maximum for Kr_4^+ and Kr_{13}^+ , local maximum for Kr_6^+ .
- ★ Origin: symmetry of Kr_n neutral clusters, small ZPE of these clusters.

\mathbf{Rg}_n^+ clusters: parent ion lifetimes



• *n*-depedence:

- ★ Decrease for Ne⁺_n, decrease and increase for Ar⁺_n and Kr⁺_n.
- * Kr_n^+ : minimum for Kr_8^+ , maximum for Kr_4^+ and Kr_{13}^+ , local maximum for Kr_6^+ .
- ★ Origin: symmetry of Kr_n neutral clusters, small ZPE of these clusters.

Effect of the Spin-Orbit coupling:

- * Decrease of lifetimes, especially for highly symmetric parent ions like Kr_6^+ .
- Origin: some degeneracies are lifted, so more couplings, faster relaxation, and smaller lifetimes.



- Ne (circles), Ar (squares) and Kr (diamonds) clusters.
- without SO coupling ($t_{lim} = 100 \text{ ps}$).
- without SO coupling but the future of long-lived trajectories is considered $(t_{lim} = 10 \text{ ns}).$

Multiscale dynamics: The case of Ar_n^+ (n=20-30)

• Method:

- 1. Nonadiabatic dynamics (TFS method) for the internal conversion ($t \sim 1 \text{ ps}$).
- 2. Molecular dynamics (MD) on the ground electronic state ($t \sim 1$ to 100 ps).
- 3. Phase Space Theory (PST) to model the production of monomers ($t \sim 1 \text{ ms}$), collaboration with F. Calvo and P. Parneix.

Multiscale dynamics: The case of Ar_n^+ (n=20-30)

• Method:

- 1. Nonadiabatic dynamics (TFS method) for the internal conversion ($t \sim 1 \text{ ps}$).
- 2. Molecular dynamics (MD) on the ground electronic state ($t \sim 1$ to 100 ps).
- 3. Phase Space Theory (PST) to model the production of monomers ($t \sim 1$ ms), collaboration with F. Calvo and P. Parneix.

 $\operatorname{Ar}_n \longrightarrow \operatorname{Ar}_p^+$ + (n-p) Ar



Multiscale dynamics: The case of Ar_n^+ (n=20-30)

• Method:

- 1. Nonadiabatic dynamics (TFS method) for the internal conversion ($t \sim 1 \text{ ps}$).
- 2. Molecular dynamics (MD) on the ground electronic state ($t \sim 1$ to 100 ps).
- 3. Phase Space Theory (PST) to model the production of monomers ($t \sim 1$ ms), collaboration with F. Calvo and P. Parneix.



Ref: F. Calvo et al., Phys. Rev. Lett., 99 (8),083401 (2007).

Conclusion

• The DIM/MDQT model used for rare-gas clusters allows to

- Find several results in qualitative agreement with experiments (extensive fragmentation, n value for the appearance of the first trimer fragments, etc...), and even in quantitative agreement for argon clusters.
- Predict some results not experimentally reachable (parent ion lifetimes, effect of long-lived trajectories).
- Model the internal conversion in multiscale fragmentation models that can be applied to large clusters and whose results can be directly compared to experiments.

Future work

- ★ More carefully studying discrepancies between theory and experiments obtained for Kr and Xe clusters.
- Using the multiscale model for other systems, other kind of excitation (photoionisation), etc ...

Acknowledgements

Collaborators:

- ★ Dr Nadine Halberstadt (Université Paul Sabatier, Toulouse 3, France),
- * Dr Florent Calvo (Université Claude Bernard, Lyon 1, France),
- * Dr Pascal Parneix (Université Paris-Sud, Orsay, France),
- Pr Udo Buck (Max-Planck Institut f
 ür Dynamik und Selbstorganisation, G
 öttingen, Germany),
- Dr Michal Fárník (J. Heyrovský Institute of Physical Chemistry, Prague, Czech Republic).

Institutions:

- ★ French government (grant),
- ★ IDRIS national supercomputing center (grant of computer time, France),
- CALMIP regional supercomputing center (grant of computer time, Midi-Pyrénées, France).