# Normal coordinate analysis of depterated benzonitriles 

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Abstract : A zero-order normal coordinate analysis of both in-plane and out-of-plane vibrations was made for benzonitrile, benzonitrilep -d. henzonitrile-o-d and benzonitrile-d, by transferring the force constants from our carler work The observed and calculated frequencies agree with an average error of $104 \mathrm{~cm}{ }^{\prime}$ On the basis of calculated potental energy distributions and eigen vectors, several assignments uggested by earlier workers have been revised
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## 1. Introduction

We have been investigating the vibrational spectra of substituted benzenes by recording their IR and Raman upectra and subjecting them to normal coordinate analysis. We have already reported the vibrational spectra and results of normal coordinate analysis of monohalogenated benzonitriles [1]. The transferability of force constants obtained above have been demonstrated to some substituted benzonitriles [2-4]. In continuation of this work, now, we made a normal coordinate analysis of benzonitrile (BN), benzonitrile-p-d (BN-p-d), benzonitrile-md (BN-m-d), benzonitrile-o-d (BN-o-d) and benzonitrile- $\mathrm{d}_{5}$ ( $\mathrm{BN}-\mathrm{d}_{5}$ ), whose vibrational frequencies were reported by Varsanyi [5].

## 2. Zero-order calculations and results

The molecules under investigation possess different point group symmetries. The symmetry of $\mathrm{BN}, \mathrm{BN}-\mathrm{p}-\mathrm{d}$ and $\mathrm{BN}-\mathrm{d}_{5}$ is $C_{2 v}$ point group and that of $\mathrm{BN}-\mathrm{m}-\mathrm{d}$ and $\mathrm{BN}-\mathrm{o}-\mathrm{d}$ is $C_{s}$. In the $C_{2 v}$ structure, the 33 fundamentals are distributed as $12 a_{1}+3 a_{2}+7 b_{1}+11 b_{2}$, whereas in the $C_{s}$ structure the 33 fundamentals fall into 23 vibrations of $a^{\prime}$ species and 10 vibrations of $a^{\prime \prime}$ species. All the modes belonging to
$a_{1}, b_{1}$ and $b_{2}$ species of the $C_{2 v}$ point group are allowed in IR and Raman spectra, whereas the $a_{2}$ modes are allowed in the Raman but forbidden in the IR spectra. Similarly, all the modes belonging to $a^{\prime}$ and $a^{\prime \prime}$ species of the $C_{3}$ point group are active both in IR and Raman spectra.

A zero-order vibrational analysis of both in-plane and out-of-plane vibrations was made for $\mathrm{BN}, \mathrm{BN}-\mathrm{p}-\mathrm{d}$, $\mathrm{BN}-\mathrm{m}-\mathrm{d}, \mathrm{BN}-\mathrm{o}-\mathrm{d}$ and $\mathrm{BN}-\mathrm{d}_{5}$ using the molecular parameters, internal coordinates and symmetry coordinates employed in our earlier work [1]. All the zero-order force constants were transferred from monohalogenated benzonitriles [1]. The average error between the observed and calculated frequencies is $12.7,6.3,9,9$ and $13 \mathrm{~cm}^{-1}$ for $\mathrm{BN}, \mathrm{BN}-\mathrm{p}-\mathrm{d}$, $\mathrm{BN}-\mathrm{m}-\mathrm{d}$ and $\mathrm{BN}-\mathrm{o}-\mathrm{d}$ and $\mathrm{BN}-\mathrm{d}_{5}$, respectively. These should be considered as good since the force constants are not refined in the zero-order calculation. This demonstrates the transferability of force constants presented in reference 1 . The observed and calculated frequencies, potential energy distributions (PED) and vibrational assignments of these molecules are summarised in Table 1. Potential energy distributions below $10 \%$ are not shown.

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Table 1. Observed and calculated frequencies (in $\mathrm{cm}^{-1}$ ) and vibrational assignments of benzonitrile and its deuterated species.

| Mode | BN |  | BN-p-d |  | BN-m-d |  | BN-o-d |  | BN-ds |  | Vibrational assignments ${ }^{\text {a }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Obs. <br> Freq | Cal <br> Fireq | Obs. <br> Freq | Cal. <br> Freq. | $\begin{aligned} & \text { Obs } \\ & \text { Freq } \end{aligned}$ | Cal. <br> Freq. | Obs. <br> Freq | Cal. <br> Freq. | Obs. | Cal. |  |
| $v(C H / C D) 2$ | 3027 | 3038 | - | 3043 | - | 3047 | - | 3051 | -- | 2258 | 102(2) |
| $v(\mathrm{CH} / \mathrm{CD}) 7 a$ | 3042 | 3078 | 2285 | 2285 | - | 3075 | - | 3086 | 2283 | 2283 | 100(7a) |
| $v(\mathrm{CH} / \mathrm{CD}) 7 \boldsymbol{b}$ | 3039 | 3071 | - | 3071 | 2270 | 2285 | - | 3077 | - | 2275 | 100(7b) |
| $v(\mathrm{C}-\mathrm{CN}) 13$ | 1192 | 1193 | 1190 | 1193 | 1196 | 1187 | 1192 | 1187 | 1123 | 1133 | $34(13)+21(18 a)+21(12)+181$ |
| $v(\mathrm{CH} / \mathrm{CD}) 20 a^{\prime}$ | 3071 | 3100 | 3080 | 3093 | 3095 | 3093 | 2280 | 2285 | 2286 | 2300 | 98(20a) |
| $v(\mathrm{Cl} / \mathrm{CD}) 20 b$ | 3080 | 3115 | - | 3115 | - | 3107 | 3100 | 3109 | 2305 | 2311 | 97(20b) |
| $v(C C) 1$ | 769 | 772 | 755 | 766 | 757 | 757 | 756 | 767 | 718 | 729 | $41(6 a)+20(1)+19(13)+10118$ |
| $v(C C) 8 a$ | 1599 | 1600 | 1595 | 1597 | 1592 | 1597 | 1593 | 1592 | 1568 | 1570 | 76(8a)+25(9a) |
| $v(C C) 8 b$ | 1584 | 1574 | 1564 | 1567 | 1573 | 1568 | 1573 | 1569 | - | 1542 | $83(8 b)+21(9 b)$ |
| $\nu(\mathrm{CC}) 14$ | 1289 | 1272 | 1284 | 1263 | 1277 | 1260 | 1271 | 1271 | 1289 | 1258 | $75(14)+25(9 b)$ |
| $v(C C) 19 a$ | 1492 | 1487 | 1482 | 1478 | 1474 | 1470 | 1472 | 1472 | 1378 | 1384 | $58(18 a)+42(19 a)$ |
| $v(\mathrm{CC}) 19 b$ | 1448 | 1443 | 1408 | 1412 | 1421 | 1422 | 1442 | 1432 | 1330 | 1325 | $57(18 b)+41(19 h)$ |
| $\widehat{\beta(\widehat{\mathrm{CCC}}) 6 a}$ | 461 | 459 | 456 | 456 | 449 | 459 | 457 | 457 | 452 | 451 | $42(6 a)+26(13)$ |
| $\beta(\widehat{\mathrm{CCC}}) 6 b$ | 629 | 639 | -- | 638 | 617 | 632 | - | 633 | 599 | 616 | $72(6 b)+17(9 b)$ |
| $\beta(\widehat{\mathrm{CCC}}) 12$ | 1001 | 995 | 980 | 976 | 999 | 997 | 985 | 982 | 954 | 950 | $60(1)+30(12)$ |
| $\beta(C H / C D) 3$ | 1337 | 1330 | 1305 | 1310 | 1328 | 1317 | 1297 | 1280 | 1040 | 1038 | 93(3) |
| $\beta(\mathrm{CH} / \mathrm{CD}) 9 a$ | 1178 | 1164 | 1178 | 1163 | 840 | 859 | 1163 | 1170 | 838 | 837 | $80(9 a)+20(8 a)$ |
| $\beta(\mathrm{CH} / \mathrm{CD}) 9 b$ | 1163 | 1172 | 862 | 852 | 1174 | 1168 | 1115 | 1111 | 845 | 843 | $68(9 b)+32(14)$ |
| $\beta(\mathrm{C}-\mathrm{CN}) 15$ | 172 | 187 | - | 186 | - | 186 | - | 185 | 170 | 180 | $48 \beta(\mathrm{C}=\mathrm{N})+48(15)$ |
| $\beta(\mathrm{CH} / \mathrm{CD}) 18 a$ | 1027 | 1020 | 1023 | 1019 | 1037 | 1035 | 1042 | 1032 | 830 | 818 | $41(19 a)+29(18 a)+25(12)$ |
| $\beta(\mathrm{CH} / \mathrm{CD}) 18 \mathrm{~b}$ | 1071 | 1065 | 1105 | 1116 | 1102 | 1079 | 863 | 851 | 823 | 808 | $45(19 b)+43(18 b)$ |
| $v(\mathrm{Cm})$ | 2232 | 2232 | 2230 | 2232 | 2230 | 2232 | 2230 | 2232 | 2226 | 2232 | $86 v(\mathrm{C}+\mathrm{N})+14(13)$ |
| $\beta(\mathrm{CmN})$ | 551 | 539 | - | 537 | - | 537 | -- | 535 | 552 | 528 | $50 \beta(\mathrm{C} \equiv \mathrm{N})+39(15)$ |
| $\pi$ (CH/CD) 5 | 987 | 982 | 970 | 964 | -- | 975 | 958 | 981 | 871 | 866 | 86(5) |
| $\pi(\mathrm{CH} / \mathrm{CD}) 10 a$ | 848 | 829 | 840 | 837 | 670 | 653 | 627 | 616 | 695 | 645 | 99(10a) |
| $\pi(\mathrm{C}-\mathrm{CN}) 10 b$ | 162 | 149 | - | 146 | - | 149 | - | 148 | 160 | 142 | $65(10 b)+23(16 b)+15 \omega(\mathrm{CsN})$ |
| $\pi(\mathrm{CH} / \mathrm{CD}) 11$ | 758 | 740 | 613 | 620 | 810 | 797 | 778 | 775 | 572 | 531 | 103(11) |
| $\pi(\mathrm{CH} / \mathrm{CD}) 17 a$ | 978 | 964 | - | 829 | 913 | 924 | - | 862 | 780 | 793 | 98(17a) |
| $\pi(\mathrm{CH} / \mathrm{CD}) 17 b$ | 925 | 889 | - | 953 | 876 | 888 | 906 | 945 | 769 | 734 | 103(17b) |
| $\boldsymbol{r}$ (CCCC) 4 | 686 | 694 | 727 | 719 | 688 | 695 | 746 | 732 | 638 | 621 | 76(4)+14(5) |
| $\overparen{\tau(\mathrm{CCCC})} 16 a$ | 401 | 411 | - | 411 | - | 383 | - | 381 | 357 | 354 | 110(16a) |
| $\tau(\widehat{C C C C}) 16 b$ | 381 | 393 | - | 378 | - | 399 | - | 400 | 382 | 363 | $75(16 b)+28 \omega\left(\mathrm{C} \mathrm{F}^{(1)}\right.$ |
| $\omega(\mathrm{Cm} \mathrm{N})$ | 548 | 558 | 545 | 543 | 529 | 538 | 540 | 558 | 488 | 507 | $48 \omega(\mathrm{C}=\mathrm{N})+35(4)+25(10 b)$ |

## -, not observe

${ }^{a}$ Results in this column correspond to BN. The number before the parentheses is \% PED and that inside the parentheses is mode notation as given by Wilson [6]. Results of other molecules can be obtained from the authors.

## 3. Vibrational assignments

The vibrational assignments presented in Table 1 are selfexplanatory. Hence the discussion is confined to certain important modes only. The following points of disagreement with Varsanyi [5] are note-worthy.

1. In BN , the frequencies now attributed to modes 2 , $20 a, 7 b, 20 b, 14,3,15,10 b, 16 b$ and $\omega(\mathrm{C} \equiv \mathrm{N})$ were thought to be $7 b, 2,20 b, 20 a, 3,14,10 b, \gamma(\mathrm{C} \equiv \mathrm{N}) 15$ and 16b, respectively, by Varsanyi [5].
2. In $\mathrm{BN}-\mathrm{p}-\mathrm{d}$, the bands now ascribed to the vibrations $14,3,9 b$ and $\omega(\mathrm{C} \equiv \mathrm{N})$ were considered to be arising from 3, 14, $17 b$ and $16 b$, respectively, by Varsanyi [5].
3. In $\mathrm{BN}-\mathrm{m}-\mathrm{d}$, the bands now identified as $7 b, 14,3,9 a$, $11,17 a, 17 b, 10 a$ and $\omega(\mathrm{C} \equiv \mathrm{N})$ were expected to be $7 a$, $3,14,10 a, 17 b, 5,9 a, 11$ and $16 b$, respectively, by Varsanyi [5].
4. In $\mathrm{BN}-\mathrm{o}-\mathrm{d}$, the fundamentals now attributed to 20b, $7 a, 14,3,18 b, 9 b, 11,17 b, 10 a$ and $\omega(\mathrm{C} \equiv \mathrm{N})$ were expected to be $2,20 a, 3,14,9 b, 18 b, 17 b, 17 a, 11$ and $16 b$, respectively, by Varsanyi [5].
5. In $\mathrm{BN}-\mathrm{d}_{5}$, the observed frequencies now identified as $7 a, 20 a, 9 a, 18 a, 20 b, 9 b, 15,5,10 b, 16 b, \omega(\mathrm{C} \equiv \mathrm{N})$ and $16 a$ were expected to be $20 b, 2,9 b, 5,20 a, 18 a$, $10 h, 9 a, \gamma(\mathrm{C} \equiv \mathrm{N}), 16 a, 16 b$ and 15 , respectively, by Varsanyi [5].

## 31. ('- C' Stretching vibrations:

Vibrations $8 a$ and $8 b$ are expected around $1600 \mathrm{~cm}^{-1}$ in the molecules investigated. The higher frequency has a large amount of C-C stretching character ranging from 76 to $86 \%$ in the five molecules studied. It mixes with $\mathrm{C}-\mathrm{H}$ in-plane bending modes. In the lower frequency $\mathrm{C}-\mathrm{C}$ stretching character ranges from 83 to $94 \%$. This also mixes with C-H in-plane bending modes. The present calculations establish that mode $8 a$ is greater in frequency than $8 b$.

Modes $19 a$ and $19 b$ are expected in the range 1400-1500 $\mathrm{cm}^{-1}$. The higher frequency is a $\mathrm{C}-\mathrm{C}$ stretching mode to the extent of $41-60 \%$, whereas the lower frequency is a $\mathrm{C}-\mathrm{C}$ stretching vibration to the extent of $38-63 \%$. They mix with $\mathrm{C}-\mathrm{H}$ in-plane bending modes. Present computations establish that the frequency of $19 a$ is greater than that of $19 b$.

Mode 14, which is known as the kekule mode can be assigned to the fundamentals near 1289, 1284, 1277, 1271 and $1289 \mathrm{~cm}^{1}$ in BN, BN-p-d, BN-m-d, BN-o-d and BN-ds, respectively, on the basis of calculations.

### 3.2. Ring vibrations :

The four ring vibrations $1,6 a, 6 b$ and 12 were identified and assigied from careful consideration of their characteristics eigen vector distributions.

Let us consider the modes $6 a$ and $6 b$ corresponding to the benzene band at $606 \mathrm{~cm}{ }^{\prime}$. According to normal coordinate treatment the bands at $461,456,449,457$ and 452 $\mathrm{cm}^{1}$ are attributed to mode $6 a$, whereas those at 629,638 (calculated value), 617, 633 (calculated value) and 599 $\mathrm{cm}^{-1}$ are ascribed to the vibration $6 b$ in $\mathrm{BN}, \mathrm{BN}-\mathrm{p}-\mathrm{d}, \mathrm{BN}-\mathrm{m}-$ $\mathrm{d}, \mathrm{BN}-\mathrm{o}-\mathrm{d}$ and $\mathrm{BN}-\mathrm{d}_{5}$, respectively.

The mode 12 comes near $1010 \mathrm{~cm}^{-1}$ in benzene. According to normal coordinate analysis it should appear around 1001 , $980,999,985$ and $959 \mathrm{~cm}^{\prime}$ in $\mathrm{BN}, \mathrm{BN}-\mathrm{p}-\mathrm{d}, \mathrm{BN}-\mathrm{m}-\mathrm{d}, \mathrm{BN}-\mathrm{o}-\mathrm{d}$, $\mathrm{BN}-\mathrm{d}_{5}$, respectively. A large contribution of PED from mode 1 to this vibration is note-worthy.

In benzene mode 1 is a pure $\mathrm{C}-\mathrm{C}$ stretching vibration as it is totally symmetric and separated from C-H stretching vibrations by a large extent. As these restrictions are removed in substituted benzenes, mode 1 mixes with several other vibrations. On the basis of the calculations mode 1 is ascribed to the fundamental at $769,755,757,756$ and $718 \mathrm{~cm}^{-1}$ in $\mathrm{BN}, \mathrm{BN}-\mathrm{p}-\mathrm{d}, \mathrm{BN}-\mathrm{m}-\mathrm{d}, \mathrm{BN}-\mathrm{o}-\mathrm{d}$ and $\mathrm{BN}-\mathrm{d}_{5}$, respectively.

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