

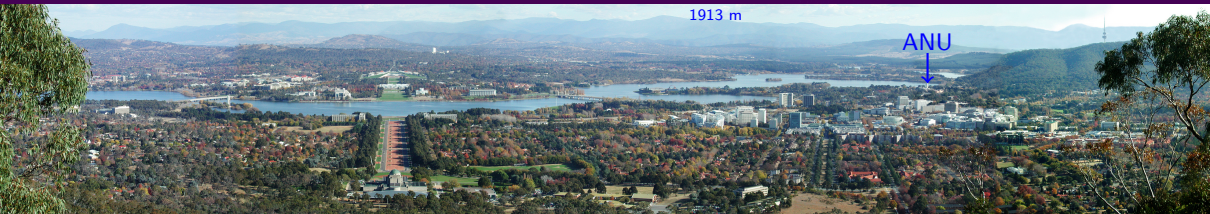
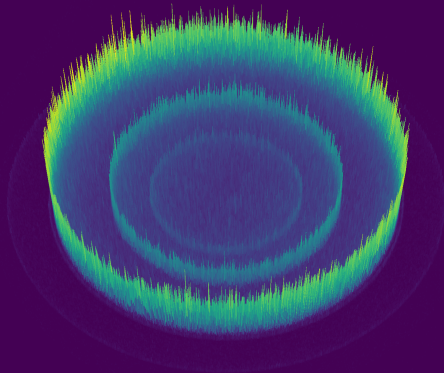
Photodetachment of O^- yielding $O(^1D_2, ^3P)$ atoms, viewed with velocity-map imaging

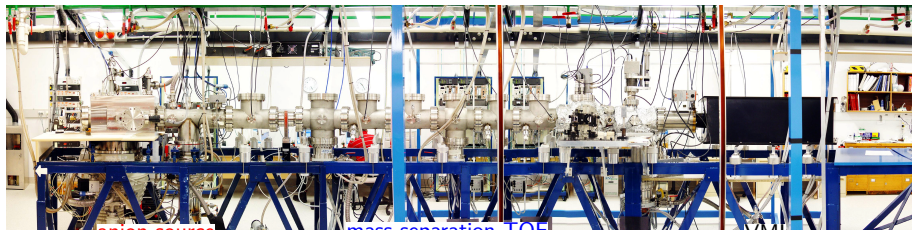
Steve Gibson, Ben Laws, and Brenton Lewis

LPC/RSPE Australian National University, Canberra

ISMS June 23, 2016

- Photodetachment/VMI
- PES/PAD $O^- \rightarrow O(^3P_J)$
- *R*-Matrix calculation
- PES/PAD $O^- \rightarrow O(^1D_2)$





anion source

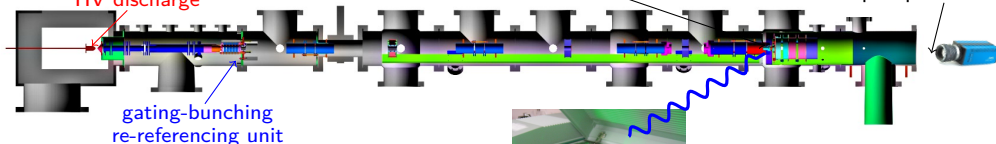
mass separation TOF

VMI

pulsed molecular jet
HV discharge

photodetachment: electron
velocity-mapping lens

MCPs and
phosphor detector

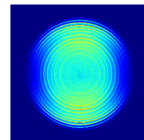


gating-bunching
re-referencing unit

355 nm and harmonic
Nd:YAG laser



OPO laser 220 nm–1750 nm



Fast beam spectrometer:

Cyr PhD Thesis (UC Berkeley 1993)

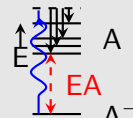
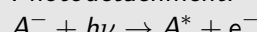
Velocity-map imaging lens:

Eppink and Parker Rev Sci Instrum **68** 3477 (1997)

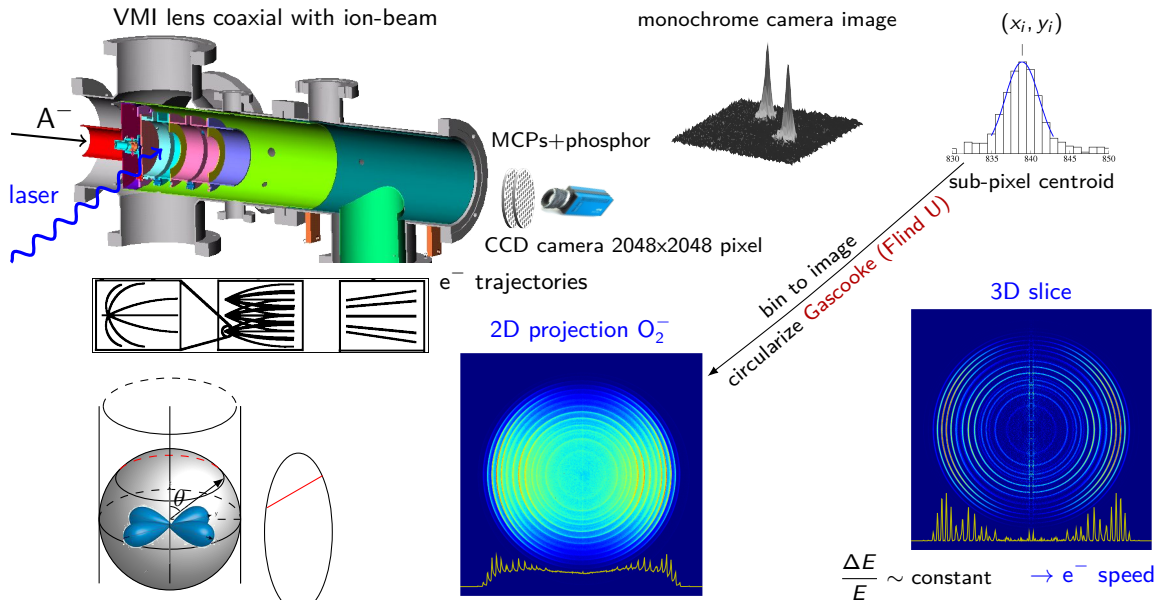
Gating-bunching-rereferencing unit:

(ANU) Dedman *et al.* Rev Sci Instrum **73** 2915 (2001)

Photodetachment:



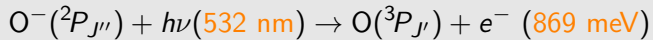
Velocity-map imaging



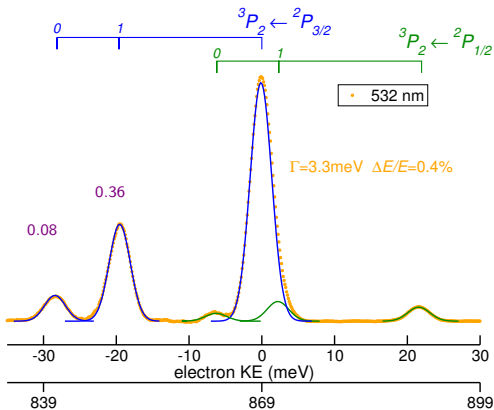
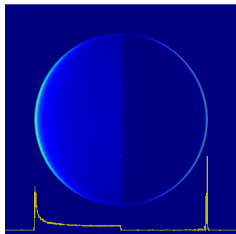
Inverse Abel transformation: **PyAbel**: <https://github.com/PyAbel>

O⁻ photodetachment

Photoelectron spectrum (PES)

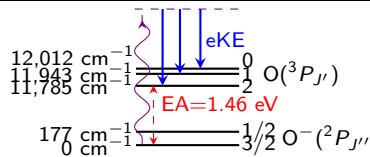


VMI 3D slice

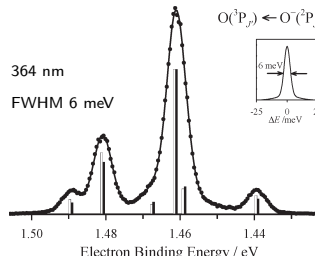


(ANU) Cavanagh *et al.* PRA **76** 052708 (2007)

Spectroscopy
 position (cm⁻¹): 227, 158, 0, (-177)
 width (meV): 3.3
 intensity ratio: 0.08, 0.36
 temperature (K): 200



Ervin *et al.* J Phys Chem A **107** 8521 (2003)

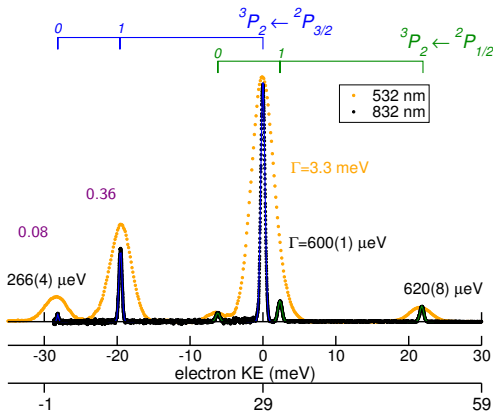
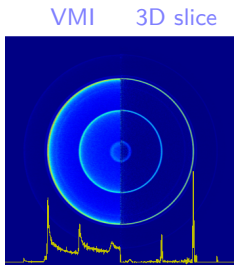
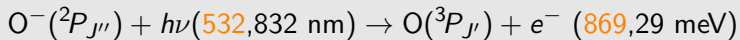


$$eBE = h\nu - eKE$$

$$1 \text{ meV} \sim 8 \text{ cm}^{-1}$$

O⁻ photodetachment

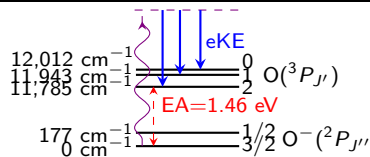
Photoelectron spectrum (PES)



(ANU) Cavanagh *et al.* PRA **76** 052708 (2007)

Spectroscopy

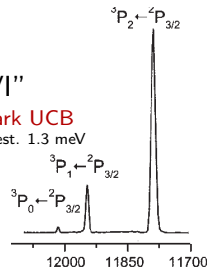
position (cm ⁻¹):	227, 158, 0, (-177)	227, 158, 0, (-177)
width (meV):	3.3	0.3–0.6
intensity ratio:	0.08, 0.36	0.01, 0.2!
temperature (K):	200	211



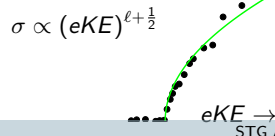
Garand *et al.* J Phys Chem A **113** 4631 (2000)

"SEVI"

Neumark UCB
FWHM est. 1.3 meV



Wigner Phys Rev **73** 1002 (1948)



$$\sigma^{PI}(J_a J_i) = \frac{4\pi^2 \omega}{3c} \sum_{\ell_c} \begin{pmatrix} \ell_c & 1 & \ell_i \\ 0 & 0 & 0 \end{pmatrix}^2 (\epsilon \ell_c | r | n_i \ell_i)^2 [J_a, S_i, L_i] \times$$

$$N(S_a L_a, \ell_i | S_i L_i)^2 \sum_{j_i} [j_i] \begin{Bmatrix} S_a & L_a & J_a \\ s & \ell_i & j_i \\ S_i & L_i & J_i \end{Bmatrix}^2,$$

For oxygen atom:

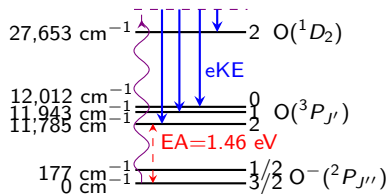
$${}^3P_{2,1,0} : L_a = 1 \quad S_a = 1 \quad J_a = 2, 1, 0$$

$${}^2P_{\frac{1}{2}, \frac{3}{2}} : L_i = 1 \quad S_i = \frac{1}{2} \quad J_i = \frac{1}{2}, \frac{3}{2}$$

and the $9j$ symbol sum gives:

$${}^3P_2 \leftarrow {}^2P_{\frac{3}{2}} : {}^3P_1 : {}^3P_0 = 1 : 0.36 : 0.08$$

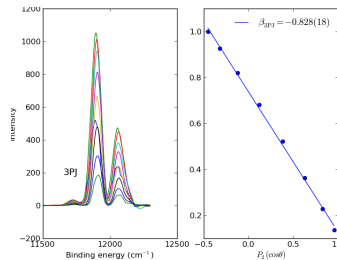
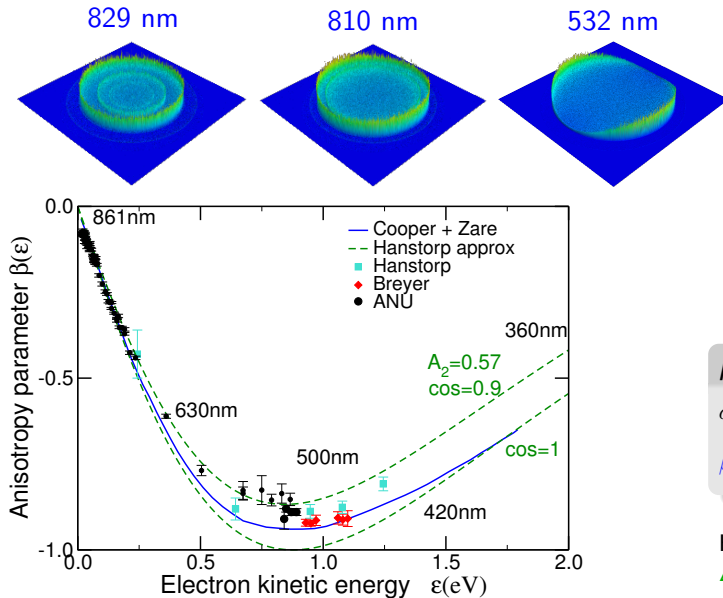
$${}^3P \text{ ratio} \quad {}^2P_{\frac{1}{2}} : {}^2P_{\frac{3}{2}} = 0.4 \quad \text{Temperature (O}^-) = \frac{-177.13 \times hc}{k \ln(5 \times \frac{I_{\frac{1}{2}}}{I_{\frac{3}{2}}})}$$



O⁻ photoelectron angular distribution (PAD)

$$I(\theta, \epsilon) = \frac{\sigma(\epsilon)}{4\pi} [1 + \beta(\epsilon)P_2(\cos \theta)]$$

β anisotropy parameter



p -orbital electron, $\Delta l = \pm 1$

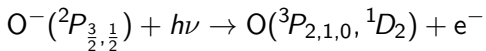
$$\sigma \propto R_s^2 + 2R_d^2 \quad (\text{incoherent sum})$$

$$\beta \propto \frac{2(R_d^2 - 2R_dR_s)}{\sigma} \quad (\text{coherent sum})$$

Hanstorp approx: $A_2\epsilon \sim R_d/R_s$

Δ = partial wave phase shift

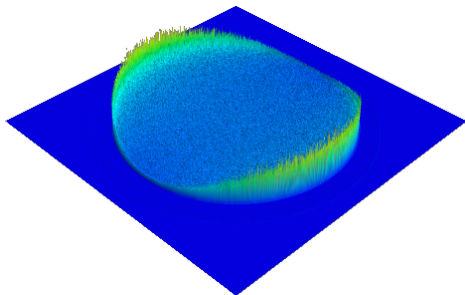
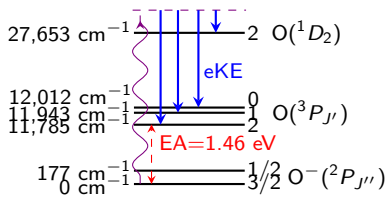
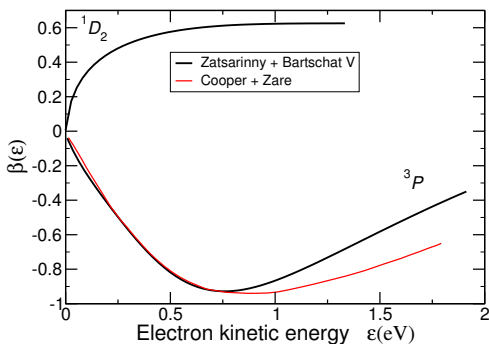
$$\beta_{l=1}(\epsilon) = \frac{2(A_2\epsilon)^2 - 4(A_2\epsilon)\cos(\Delta)}{1 + 2(A_2\epsilon)^2}$$



B-spline R-matrix calculation

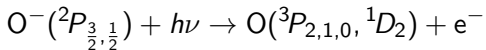
Oleg Zatsarinny and Klaus Bartschat, Drake U. Iowa USA

1D_2 prediction



R-matrix code: Burke and Berrington

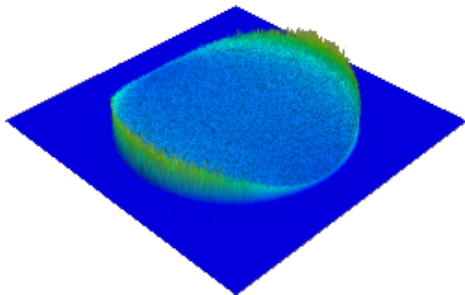
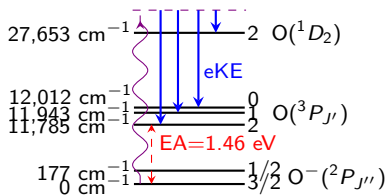
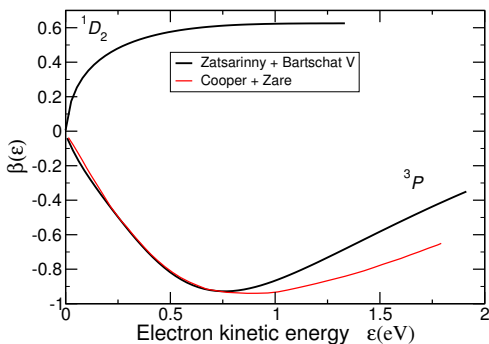
"... have reached a level of stability and robustness ... used to solve a wide variety of low electron and positron scattering problems" [Morgan et al Comp Phys Comm 114 120-128 \(1998\)](#)



B-spline R-matrix calculation

Oleg Zatsarinny and Klaus Bartschat, Drake U. Iowa USA

1D_2 prediction

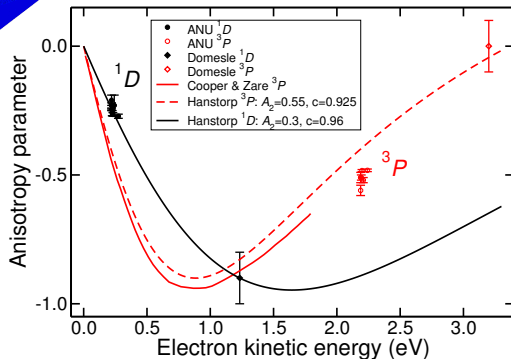
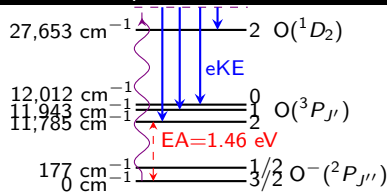
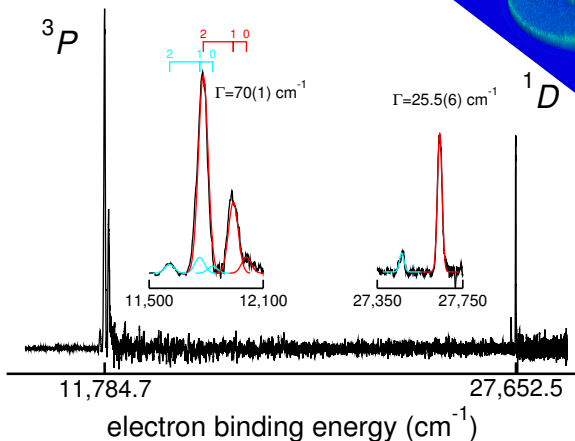
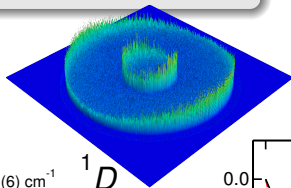
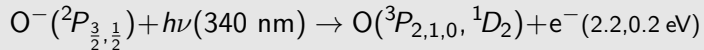


R-matrix code: Burke and Berrington

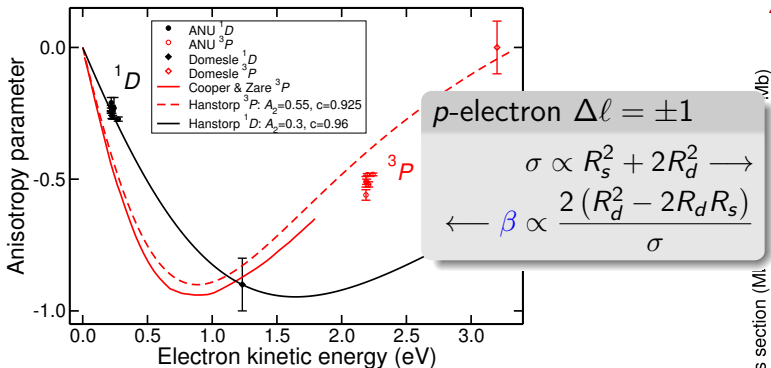
"... have reached a level of stability and robustness ... used to solve a wide variety of low electron and positron scattering problems" [Morgan et al Comp Phys Comm 114 120-128 \(1998\)](#)

Photodetachment of O^- yielding $O(^1D_2)$ atoms

“same but different”



$\beta_{1D_2} < 0$ maps a different isotropy curve, slower onset, higher-energy minimum than β_{3P}



Data consistent with σ calculation, slower onset of d -wave cross section for the $O(^1D_2)$ channel

Issue with R -matrix code

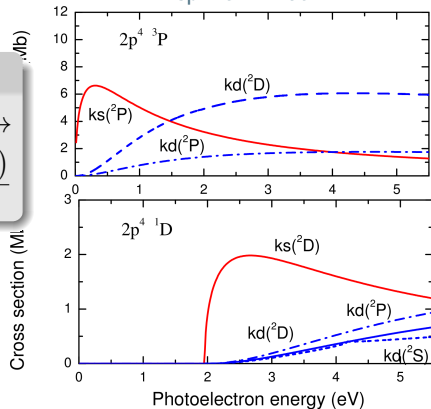
Oleg (Drake): I still get positive values for β_{1D} , even after double check of possible bugs in the program

Klaus (Drake): The Belfast R -matrix code ... had some interesting troubles

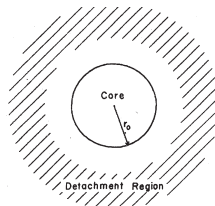
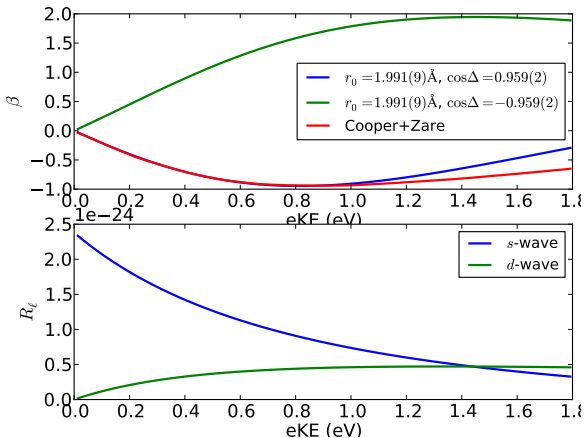
Mabbs (Wash U): ... to get a sensible low eKE curve we have to change a sign in the calculation

Zatsarinny Phys Rev A **73** 022714 (2006)

B -spline R -matrix



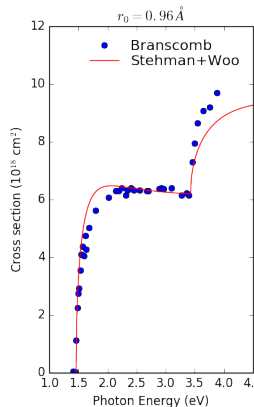
- Evaluate R_s and R_d matrix elements using H-atom ground-state wavefunction for initial state and plane-wave for free electron
- Simple analytical expressions for R_s and R_d
- Two parameter model: r_0 and $\gamma = \cos(\Delta)$



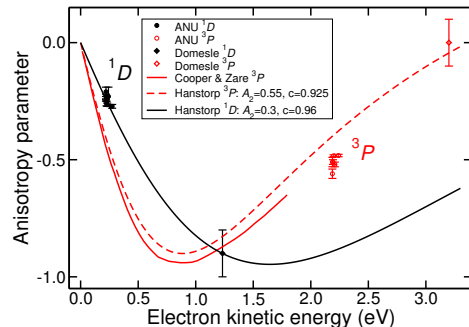
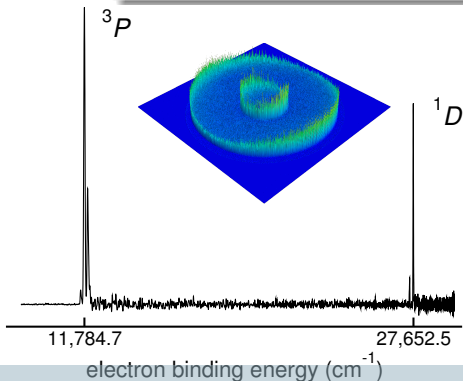
$$\sigma \propto R_s^2 + 2R_d^2$$

$$\beta \propto \frac{2(R_d^2 - \gamma R_d R_s)}{\sigma}$$

$$\frac{d\sigma}{d\Omega} \propto |\langle k | \hat{e} \cdot \mathbf{r} | 0 \rangle|^2$$



- VMI provides μeV electron kinetic-energy resolution and full angular distribution
- R -matrix computational code predicts $\beta_{1D_2} > 0$
- Experiment
 - β_{1D_2} same sign as β_{3P}
 - β_{1D_2} different energy dependence to β_{3P}
- Measurements consistent with “simple” s - and d -wave detachment model
- “Black box” R -matrix computational code may have problems . . .





Ly Duong
Hons. 2012



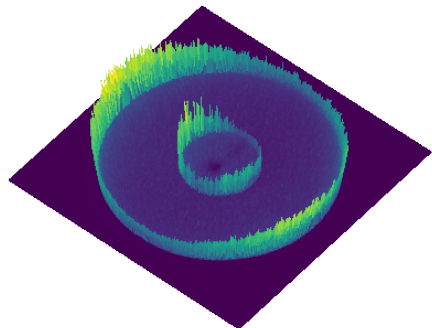
Steve Cavanagh



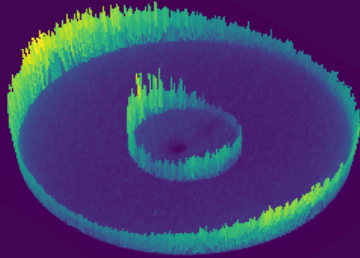
Brenton Lewis

and technical assistance: *Colin Dedman, Kevin Lonsdale, Ros Tranter, Steve Battison*

Oleg Zatsarinny and Klaus Bartschat, Drake U. Iowa
USA

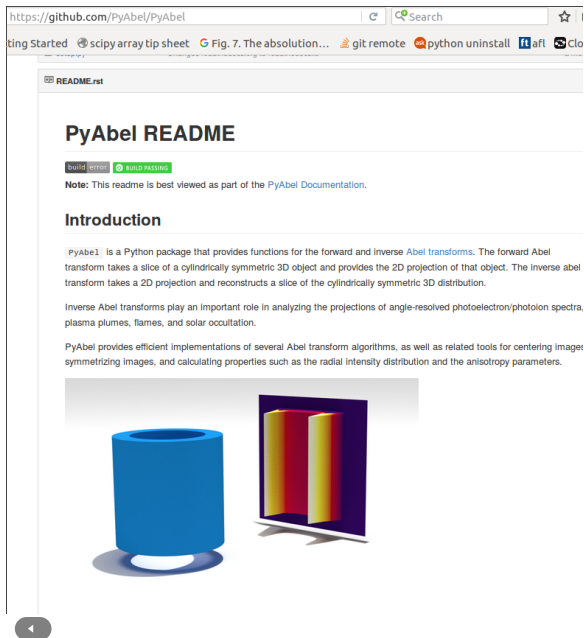


End



Appendix

- PyAbel: Abel transforms
- Cooper-Zare angular distribution of photoelectrons



https://github.com/PyAbel/PyAbel

PyAbel README

Build error BUILD PASSING

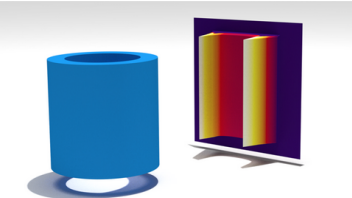
Note: This readme is best viewed as part of the [PyAbel Documentation](#).

Introduction

PyAbel is a Python package that provides functions for the forward and inverse Abel transforms. The forward Abel transform takes a slice of a cylindrically symmetric 3D object and provides the 2D projection of that object. The inverse Abel transform takes a 2D projection and reconstructs a slice of the cylindrically symmetric 3D distribution.

Inverse Abel transforms play an important role in analyzing the projections of angle-resolved photoelectron/photon spectra, plasma plumes, flames, and solar occultation.

PyAbel provides efficient implementations of several Abel transform algorithms, as well as related tools for centering images, symmetrizing images, and calculating properties such as the radial intensity distribution and the anisotropy parameters.



Transform Methods

The outcome of the numerical Abel Transform depends on the exact method used. So far, PyAbel includes the following transform methods:

1. `basex` - Gaussian basis set expansion of Drbinski and co-workers.
2. `hansenlaw` - recursive method of Hansen and Law.
3. `direct` - numerical integration of the analytical Abel transform equations.
4. `two_point` - the "two point" method of Dasch and co-workers.
5. `three_point` - the "three point" method of Dasch and co-workers.
6. `onion_peeling` - the "onion peeling" deconvolution method of Dasch and co-workers.
7. `onion_bordas` - "onion peeling" or "back projection" method of Bordas *et al.*, based on the MatLab code by Rallis and Wells *et al.*
8. `linbasex` - the 1D-spherical basis set expansion of Gerber *et al.*
9. `fh` - Fourier-Hankel method (not yet implemented).
10. `pop` - polar onion peeling method (not yet implemented).

Cooper and Zare *J Chem Phys* **48** 942 (1968)

$$\beta_l = \frac{l(l-1)R_{l-1}^2 + (l+1)(l+2)R_{l+1}^2 - 6l(l+1)R_{l+1}R_{l-1} \cos(\delta_{l+1} - \delta_{l-1})}{3(2l+1)[lR_{l-1}^2 + (l+1)R_{l+1}^2]}$$