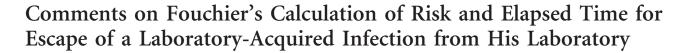
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Lynn C. Klotz

Center for Arms Control and Non-proliferation, Washington, DC, USA

n a Letter to the Editor of mBio, Professor Ron Fouchier published a calculation (1) in which he finds a very low probability, P_1 , for a laboratory-acquired infection (LAI) for a single lab for a single year. Claiming numerous safety precautions in his biosafety level 3 (BSL3+) laboratory, Fouchier calculates $P_1 = 1 \times 10^{-7}$ per person per year, and since there are 10 workers with access to his laboratory, $P_1 = 1 \times 10^{-6}$ per lab per year. Compare this to $P_1 =$ 2×10^{-3} per lab per year for BSL3 laboratories calculated from CDC statistics for undetected or unreported LAIs (2, 3), here called "community LAIs," as it is assumed that an undetected or unreported LAI represents an infection that has traveled outside the lab and into the community.

Recently reported escapes of LAIs from high-level biocontainment at CDC laboratories (4) and the long history of LAIs and other escapes from laboratories (5) also argue that Fouchier's value for P_1 is too low. Lipsitch and Inglesby (6) have supplied additional arguments as to why the Fouchier value for P_1 is likely much too low.

Fouchier uses a simplistic formula, $y = 1/P_1$, to calculate the elapsed time in years for an LAI to escape from his laboratory, y = $1/(1 \times 10^{-6}) = 1 \times 10^{6}$, that is, the million years stated in his Letter. It is not clear what this calculation tells us. Does it give us the elapsed time for a 10% chance that an LAI occurs? Does it give us elapsed time for a 50% chance, or an 80% chance? In this regard, the elapsed time for a 100% chance is infinite, as we can never be absolutely certain that an LAI will occur.

I suggest attaching little weight to this elapsed time calculation and instead concentrating on risk = likelihood \times consequences, starting with the P_1 probability, specifically: potential pandemic fatalities = (probability of a community LAI) \times (probability that the community LAI leads to a pandemic) × (estimated fatalities in a pandemic).

My risk calculation estimates the likelihood of a community LAI for both a single laboratory and *n* laboratories conducting this research over y years. The total number of laboratories involved in this potential pandemic pathogen research is called here the "research enterprise."

A single, easily derived equation is used to determine the likelihood of a community LAI:

$$E = 1 - (1 - P_1)^{yn} \tag{1}$$

where E is the probability of at least one community LAI from nlaboratories in y years. Example results are presented in Table 1 for three values of P_1 .

In Table 1, the number of laboratories is either n = 1 for a single laboratory, such as Fouchier's, or n = 30, which is twice the 15 laboratories currently subject to the NIH funding pause. Picking n = 30 is a reasonable guess since there are likely many other labs throughout the world conducting this research that are not

TABLE 1 Probabilities of at least one LAI escape into the community^c

P_1	Comment	Estimated probability <i>E</i>	
		$n = 1^a$	$n = 30^{b}$
2.00E-03	From CDC data	0.0198	0.45
2.00E-04	10× less than CDC data	0.0020	0.058
1.00E-06	From Fouchier's analysis	0.00001	0.0003

^a A single BSL3 or BSL3+ lab.

funded by NIH. y = 10 years is a reasonable time frame for this research to be completed.

The rationale for picking the probabilities, P_1 , in Table 1 is as follows: $P_1 = 2 \times 10^{-3}$ is calculated from the CDC statistics (2, 3). $P_1 = 2 \times 10^{-4}$ is 10-fold less and is my "guestimate" for a BSL3+ lab with rigorous safety practices. $P_1 = 1 \times 10^{-6}$ is Fouchier's calculated value.

There are valuable observations to be gleaned from Table 1. For instance, taking into account the whole research enterprise, not just a single lab, is important.

Furthermore, even for Fouchier's very low value for P_1 , there is an estimated probability of E = 0.0003 that there will be at least one community LAI over a 10-year period for 30 labs (likely exactly one LAI, as two is much less probable). As I will soon show, E = 0.0003, or 0.03%, is not nearly small enough to reduce risk to an acceptable level. Also, this E value assumes that all 30 laboratories involved in this research enterprise have the rigorous safety practices of Fouchier's lab, a highly unlikely assumption.

Summarizing the literature, Lipsitch and Inglesby (7) estimate the probability that a community LAI leads to a global spread (pandemic) to be 5 to 60%. This range is consistent with the 5 to 15% range found by Merler and coworkers (8) and with the 1 to 30% range found in a focused risk assessment (9) for infection spread beginning on crowded public transportation. As an illustration, using an intermediate value of 10% for pandemic probability, which is within the estimated ranges, the probability that a community LAI occurs and leads to a pandemic would be $0.0003 \times 0.1 = 3 \times 10^{-5}$.

A pandemic could result in 140 million fatalities (world popu-

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Address correspondence to Lynn C. Klotz, lynnklotz@live.com.

^b Twice the number of NIH-funded labs studying gain-of-function pathogens with pandemic potential.

^c In equation 1, y is the number of years that research was carried out.

lation of 7 billion, 20% infected, 10% fatality rate). Thus, in this example the estimated number of fatalities for the research enterprise could be $3 \times 10^{-5} \times 140$ million = 4,200 fatalities, and the estimated "fatality burden" for each lab in the research enterprise could be 4,200/30 = 140 fatalities over 10 years or 14 fatalities per year. To put this fatality burden number in perspective, no Institutional Review Board tasked with assessing human subject research would approve a proposed research project with 14 potential fatalities per year.

If instead $P_1 = 2 \times 10^{-4}$ or $P_1 = 2 \times 10^{-3}$ is more representative of the real probability, then the fatalities and fatality burden for each lab in the enterprise would be much higher. Over the assortment of BSL3 and BSL3+ labs that may be participating in the research enterprise, frighteningly high fatality burdens may not be

To try to understand the meaning of Fouchier's simplistic equation $y = 1/P_1$, I substitute into equation 1 the values calculated by Fouchier ($P_1 = 1 \times 10^{-6}$, $y = 1 \times 10^6$ years, n = 1, for his single lab) to find E = 0.63. As I suspected, the value is high. While I do not know of anything significant that we might learn from this observation that Fouchier's calculation implicitly implies a high value for E, it at least answers the question put forth in the second paragraph of this letter about the meaning of his calculation of elapsed time to an escape. Recall that the highest value of the probability *E* is 1.0, which implies absolute certainty of an escape, which would take infinite elapsed time, y.

Even if every laboratory in the research enterprise is as safe as Fouchier claims his is, potential pandemic fatalities and fatality burden are still too great. Until the research enterprise is restricted to only a few special BSL4+ labs, with extraordinary precautions (3) to reduce significantly the probability of community infections, the international community should agree to pause this research indefinitely. Alternatively, the research should be redesigned to not require the development of live respiratory aerosoltransmissible potential pandemic pathogens (10).

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