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# SWIMMING BIOENERGETICS: INTEGRATING BIOMECHANICAL AND PHYSIOLOGICAL DATA INTO A COHERENT BIOPHYSICAL MODEL FOR PERFORMANCE AND TRAINING 

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#### Abstract

The purpose of the present paper is to synthesise a number of scientific contributions of our research group, into a coherent corpus of knowledge related to swimming biophysics, specially centred on the availability and use of energy in swimming. After an introductory part that intends to underline the relevance of this approach base on the conceptualization of the swimmer, and swimming action itself, as a thermodynamic system and its mechanical output, we will survey a number of studies and respective contributions for a more advanced understanding of swimming performance, that can be transferred into training and enhancement of swimmers' working capacity. Most of the studies referred were conducted over samples of swimmers of both genders and of different types, from university/participative swimmers to Portuguese elite swimmers, crossing the large population of trained national level swimmers. Those swimmers were studied in the four different competitive swimming strokes, accomplishing progressive protocols based over distances of 200 m . Physiologic parameters like $\mathrm{VO}_{2}$ (and associated ventilatory and respiratory parameters), post exercise capillary blood [La-] peaks, and heart rate, were directly measured. Kinematical parameters were also measured in the different studies, ranging from simple semi-quantitative parameters, like stroke length (SL), and stroke frequency $(S F)$, to more elaborated biomechanical data, like intracyclic speed fluctuations and propulsive segments kinematics. The focus of interest ranged from swimming economy of different strokes and genders (and of different technical alternatives of the same stroke), to the effects over energy cost of intracyclic speed fluctuations. Energetic input determinant factors, like swimming $\mathrm{VO}_{2}$ kinetics, including $\mathrm{VO}_{2}$ slow component, and $\mathrm{VO}_{2}$ time limit, and its determinants, will also be analysed.


Key words: Swimming bioenergetics, energy cost, $\mathrm{VO}_{2}$ time limit, $\mathrm{VO}_{2}$ slow component.

## 1. INTRODUCTION

Swimming, as most of the cyclic modes of human motion, can be interpreted as a simple thermodynamical process, where an energy input $(E)$ is processed in each instant of time $(t)$ until a mechanical work $(W)$ is performed with of a given energetic efficiency $(e)$ :
$E \rightarrow W ; e=W * E^{1} * 100$
Swimming performance capacity is measurable by the maximum velocity ( $v$ ) that a swimmer can attain in a certain context (technique, distance, practice conditions, etc.). This context is
a determinant for the understanding of the difference between efficiency (e), and energy cost $(E C)$. In fact a swimmer can perform two tasks with a same $e$ value, and the same energy input ( $E$ ), but ending up to rather different mean maximum velocity for a given competitive distance. In this case the swimmer will produce the same mechanical power output $(P)$ but, for instance, in one case, if submitted to larger drag forces $(D)$ - due to poor technique, morphology, or fatigue -, he will swim slowly, once $P$ can be described as:
$P=D * v$
Equation (2) do not describe the total mechanical work performed per unit of time (power) by a swimmer. We take it as a simple example, considering only the work done to overcome $D$, and excluding the work performed to accelerate water mass ( $W_{H 2 O}$ ), the work done to accelerate the swimmers mass plus the added mass of water ( $W_{m a}$ ), and the internal work ( $W_{i}$ ).
From equations (1) and (2) it is now possible to extract a very old biophysical expression that models the factors determining swimming performance (di Prampero et al., 1974):
$V=E * e * D^{-1}$
where $e$ is the efficiency of the biomechanical system (the swimmer) that produce propulsive force ( $p$ ) to overcome $D$.
Rearranging equation (3) offers some insight over the concept of "energy cost" (SchmidtNielsen, 1972) - $E C$-, also an old concept, but still determinant for the understanding of the relevance of the particular biomechanical structure of locomotion movements:
$E C=E * V^{l}=D * e^{-l}$
Vilas-Boas \& Santos (1994) and Vilas-Boas (1996) showed empirically for the first time that energy cost of swimming grows with intracyclic speed fluctuations in breaststroke. As a consequence, this paper also reports about the recent attempts of our group to address this issue, but taking the other swimming competitive strokes as object of study.
Once obtained $r$ values were not as high as possibly expected, suggesting a relevant influence of other factors in $E C$, the analysis of more and increasingly detailed biomechanical influencing factors was also conducted and reported here.
Finally, once it is obviously critical to swimming performance to understand the energy input to the system, this paper will address also to the recent contributions of our group in what $\mathrm{VO}_{2}$ kinetics is concerned, specially trying to figure out the influencing factors and their relevant characteristics for training ( $\mathrm{VO}_{2}$ time limit, and $\mathrm{VO}_{2}$ slow component).

## 2. METHODS

Sampling: The subjects were Portuguese competitive swimmers of both genders representing a large scale of performances from regular national to international top level.
Protocol: The experiments were conducted in an indoor $25 \times 12 \times 2 \mathrm{~m}$ swimming pool. Each swimmer was submitted to an incremental protocol of "n" (<8) x 200 m , either in front crawl or in one's first stroke. The velocities and increments were chosen in agreement with swimmers, so that they would attain their best performance on the $7^{\text {th }}$ trial. The starting velocity was set at a speed corresponding to a low training pace, approximately $0.3 \mathrm{~m} \cdot \mathrm{~s}^{-1}$ less than the swimmer's best performance. After every 200 m , the swimmers rested passively for a period of 30 s , to allow the collection of ear-lobe capillary blood samples for the assessment of lactate concentration, and for feedback (some preliminary work was conducted with continuous protocols, and the adequacy of the intermittent one was previously shown - Cardoso et al., 2003). From stage to stage, a $0.05 \mathrm{~m} . \mathrm{s}^{-1}$ increase in swimming intensity was scheduled. The testing session terminated upon exhaustion and/or when the swimmer could not keep the predefined pace. The velocity was controlled by a
visual feedback system (GBK-Pacer from GBK Electronics, Portugal). Prior to exercise, resting values for the physiologic variables were obtained.
A second test session occurred 48 hours after the first one. All subjects swam at their previously determined $\mathrm{vVO}_{2} \max$ to assess the time limit at $v \mathrm{VO}_{2} \max$ (TLim- $\mathrm{vVO}_{2} \max$ ). This protocol consisted of two different phases, all paced: (i) a 10 min warm-up at an intensity correspondent to $60 \% \mathrm{vVO}_{2} \max$, followed by a short rest ( 20 s ) for ear-lobe blood collection, and (ii) the maintenance of that swimming $\mathrm{vVO}_{2} \max$ until volitional exhaustion, or until the moment that the swimmers were unable to swim at the selected pace. TLim-vVO ${ }_{2} \max$ was considered to be the total swimming duration at the pre-determined velocity.
In some particular situations, swimmers were asked to perform sets of $3 \times 25 \mathrm{~m}$ repetitions, at specified velocities, particularly in Butterfly stroke, for biomechanical analysis. Those sets included complete resting periods between repetitions.
Physiologic measurements: Heart rate was continuously monitored using Polar Vantage monitors, recording at 5 s intervals. Oxygen consumption ( $\mathrm{VO}_{2}$ ) was directly measured through a K4b ${ }^{2}$ (Breath by Breath) Pulmonary Gas Exchange System, from Cosmed (Italy). A low hydrodynamic resistance respiratory valve was used to collect expired air samples (Toussaint et al., 1987) and connected to a breath-by-breath gas analyser (Keskinen et al., 2003; Rodriguez et al., 2003). $V O_{2} \max$ was considered to be reached according to primary and secondary traditional physiological criteria (Howley et al., 1995). The swimming velocity corresponding to $\mathrm{VO}_{2} \max \left(\mathrm{vVO}_{2} \max \right)$ was considered to be the swimming velocity that elicits $\mathrm{VO}_{2} \max$. If a plateau, less than $2.1 \mathrm{mIO}_{2} \cdot \mathrm{~min}^{-1} \cdot \mathrm{~kg}^{-1}$ could not be observed, the $\mathrm{VVO}_{2} \max$ was calculated as proposed by Kuipers et al. (1985):
$v V O_{2} \max =v+\Delta v \cdot\left(n \cdot N^{-1}\right)$,
where $v$ is the velocity corresponding to the last stage accomplished, $\Delta v$ is the velocity increment, $n$ indicates the number of seconds that the subjects were able to swim during the last stage and $N$ the pre-set protocol time (in seconds) for this step.
Blood samples ( $25 \mu \mathrm{l}$ ) were collected from the ear-lob before the evaluation, in each rest period and at the end of the protocol, immediately after, and at $1,3,5$ and 7 minutes of recovery, if the lactate concentrations didn't decrease between collections. For the analysis of the blood lactate concentrations an automatic analyser YSI 1500L (Yellow Springs, Ohio, USA), was used.
The energetic input $(E)$ was calculated using the $\mathrm{VO}_{2}$ net $\left(\mathrm{VO}_{2}\right.$ net $=\mathrm{VO}_{2}$ exercise $-\mathrm{VO}_{2}$ rest $)$ and the net blood lactate ([La-]net = [La-]exercise - [La-]rest), transformed into $\mathrm{VO}_{2}$ equivalents using a $2.7 \mathrm{mlO}_{2} \cdot \mathrm{Kg}^{-1} \cdot \mathrm{mmol}^{-1}$ constant (di Prampero et al., 1978). The energy cost (EC) was computed dividing $E$ by $v$.
Biomechanical measurements: Stroke parameters ( $S L, S F$, stroke index - $S I-$, and $v$ ) were measured in each of the 25 m laps swam during the progressive protocol. Mean value was calculated for each 200 m swim. The $v$ value was obtained from the distance covered and the split time - t. $S F$ was measured through a base-3 chronofrequencymeter. $S L$ was calculated by the ratio between $v$ and $S F$ (Craig \& Pendergast, 1979), and SI was obtained from the product of $S L$ times $v$ (Costill et al., 1985).
Two pairs of video cameras (JVC GR-SX1 SVHS and JVC GR-SXM 25 SVHS) were used for dual media videotape recording in non-coplanar planes. Both pairs of cameras were synchronised on real time and edited on a mixing table (Panasonic Digital Mixer WJ-AVE55 VHS and Panasonic Digital AV Mixer WJ-AVE5) creating one single "dual media" image, as it was previously described by Vilas-Boas et al. (1997). One of the two supports was set in one forehead wall, 8.10 m away from the trajectory of the swimmer. The second structure was set in one of the lateral walls at 9.30 m from the forehead wall where the first structure was installed and at 10.20 m from the trajectory of the swimmer. Another camera (Panasonic DP 200 SVHS) was set in an underwater window in the forehead wall, at 0.90 m deep. One last camera (Panasonic DP 200 SVHS) was set 4.50 m above the water surface. In these two
last cameras, the optical axis was oriented in the direction of the displacement of the swimmers. Each camera, or pair of cameras, recorded images of the swimmer in noncoplanar planes. Synchronisation of the images was obtained using LED's placed on the recording field of every camera or pair of cameras, which were turned-on regularly and simultaneously to initiate the synchronisation every time the swimmer entered the performance volume. This was assumed to be delimited by the calibration volume, which was defined by a $27 \mathrm{~m}^{3}$ cube volume. The calibration cube was marked with 32 calibration points. The study comprised the 3D kinematical analysis of the different stroke cycles using the "Ariel Performance Analysis System" from Ariel Dynamics Inc. and a VCR (Panasonic AG 7355) at a frequency of 50 Hz . Zatsiorsky's model was used as adapted by de Leva (1996) with 22 anatomical points of reference. The 3D reconstruction of the digitised images was performed using DLT. Coefficients of variation (CV) for the horizontal velocity of the centre of mass along the stroke cycle were calculated - intra-cyclic velocity variation ( $d v$ ).
Statistical procedures: Common descriptive statistics was used. Differences between mean values were studied using ANOVA. Individual regression equations (linear and polynomial) describing the relation between the bioenergetic and biomechanical variables were computed, as well as, its coefficients of determination and correlation. Partial correlations were also used when necessary. Statistical confidence was set to $\mathrm{p} \leq 0.05$.

## 3. RESULTS \& DISCUSSION

### 3.1. Swimming economy profiles of different swimming techniques

Figure 1 presents the economy profiles obtained for the four swimming strokes (Barbosa et al., 2006a).


Figure 1. Total energy expenditure ( $E$-tot) at standardized swimming velocities for the four competitive swimming strokes (some data were inter or extrapolated from $E(v)$ individual curves) (Barbosa et al., 2006a).

Comparing the results presented in figure 1 with the previously available, specially those from Holmér (1974), it is possible to understand that butterfly stroke significantly improved its economy over time, especially compared with breaststroke and backstroke. This allows to partially bridge the energy cost gap between continuous and discontinuous swimming techniques, reducing the spectrum of performance variability among competitive swimming techniques. It is also interesting to note that the tendency of the economy lines of breaststroke and butterfly to cross at lower swimming speeds was confirmed in a posterior approach (Barbosa et al., 2006b) - Figure 4B - where also a perceived tendency for butterfly stroke to cross the backstroke line at very high velocities was observed. This may be expected if a dramatic reduction in speed fluctuation is observed in $v$ of the butterfly stroke.

In figure 2 economy profiles of different variants of the breaststroke are presented.
Figure 2 shows that along with increased speed fluctuations (the inverse of the Strukhal number), also energy cost increased, supporting the significance of correlations obtained in the referred study.
This relationship was used to investigate also the other three swimming strokes. In figure 3, this relationship is reported for butterfly stroke (Barbosa et al., 2005a) based on a sample of 5 elite butterfliers, swimming $3 \times 200 \mathrm{~m}(75,85,100 \%)$, with a 30 min rest.


Figure 2. Swimming economy profiles for flat (FB), undulated (UB) and undulated over-water arm recovery breaststrokers (UOB) (Vilas-Boas \& Santos, 1994).


Figure 3. Relationship between energy cost (EC) and intracyclic speed fluctuations (dv) in butterfly (Barbosa et al., 2005b).

In another study, we tried to explore this relationship in the four competitive swimming strokes (figure 4) in elite swimmers. Significant positive correlation coefficients ( $p<0.05$ ) were observed for freestyle, butterfly and backstroke, but a negative relationship was found for the breaststroke.

The finding in figure 4B can possibly be explained by the fact that higher $d v$ values were observed at lower mean speeds for breaststroke, associated with the possibility that $v$ (and D) plays a more determinant role on EC than $d v$. When $v$ was partialled out, the $r$ value for the breaststroke between energy cost and $d v$ was 0.60 ( $\mathrm{p}<0.05$ ), which was of the same magnitude as the one observed for the other swimming techniques ( 0.55 for backstroke and butterfly stroke, and 0.62 for freestyle).


Figure 4. A - Relationship between energy cost ( $E C$ ) and intracyclic speed fluctuations ( $d \mathrm{v}$ ), and B - relationship between energy expenditure (Etot) and swimming velocity ( $v$ ) for the four competitive swimming strokes (Barbosa et al., 2006b).

A similar effect was observed in the relationship between EC, and SI (figure 5 c ) for butterfly stroke, showing a high influence of $v$ if it is taken into consideration that the relationship between EC and $S L$ was negative, when individual analysis is performed (figure 5 b ).


Figure 5. Relationship between energy cost ( $E C$ ) and stroke frequency ( $S F$ ) stroke length $(S L)$, and stroke index ( $S I$ ), measured as the product between $v$ and $S L$ on individual basis (Barbosa et al. 2005a).

## 3.2. $\mathrm{VO}_{2}$ kinetics and time-limit at $\mathrm{VVO}_{2} \max$

A typical $V O_{2}$ kinetics profile of a rectangular maximal test after warm-up can be observed in figure 6. This was obtained from a university or a regular level swimmer. It is possible to observe that during easy warm-up period, $V O_{2}$ values grow until more than $50 \% V O_{2} \max$. Afterwards, during the maximal test, two phases can be clearly identified: a fast component, and a slow component. The latter has been one of the main interests of our research in the last few years, specially its relationship with $T$ Lim- $\mathrm{vVO}_{2} \max$.

It is very interesting to note in figure 6 that, approximately, only 90 s are needed to reach $\mathrm{VO}_{2} \max$, and that around 5 min is the maximal time that the swimmer can sustain $\mathrm{vVO2max}$, half of it with a clear slow component kinetics. This $T$ Lim- $\mathrm{vVO}_{2} \max$ was significantly correlated with $O_{2} S C$ ( $\mathrm{r}=0.74, \mathrm{p}<0.05$ ), and was slightly higher than the previously reported by other research groups, both in swimming and other sports (Billat et al, 1996; Faina et al., 1997; Demarie et al., 2001). The general characteristics of the $O_{2}$ kinetics presented in the previous example were that the higher the competitive level of the swimmer, and its $\mathrm{VO}_{2} \max$, (i) the lower the $T L i m-\mathrm{vVO}_{2} \max$, and (ii) the lower the time to reach $\mathrm{VO}_{2} \max$. These findings are relevant for training purposes: repetitions per set for aerobic power training don't need to exes distances longer than 100 / 150 m , nor longer than 400 m .


Figure 6. Typical $\mathrm{VO}_{2}$ kinetics profile of a rectangular maximal test of a university to regular level swimmer. (I) 500 m easy warm-up period; (II) 50 m progressive to $\mathrm{vVO}_{2} \max$ after a 30 s rest for blood collection; (III) maximal test to exhaustion at $\mathrm{vVO}_{2} \max$ (TLim-vVO $\mathrm{V}_{2} \max$ test). The $\mathrm{VO}_{2}$ slow component region $\left(\mathrm{O}_{2} \mathrm{SC}\right)$ is shown (Fernandes et al., 2003).

Figure 7 demonstrates that the $T \operatorname{Lim-}-\mathrm{VVO}_{2} \max$ is inversely related to $\mathrm{vVO}_{2} \max$, and with the velocity corresponding to the anaerobic threshold (vAnT).


Figure 7. Relationships between $T$ Lim- $\mathrm{vVO}_{2} \max , \mathrm{vVO}_{2} \max$, and the velocity correspondent to the anaerobic threshold (vAnT) (Fernandes et al., 2006b).

These findings, even though surprising, show that top performers have high $\mathrm{vVO}_{2} \max$, and $v A n T$, with a short $T L i m-\nu V O_{2} \max$, as compared to their inferior counterparts. This is probably because $\mathrm{vVO}_{2} \max$ of elite swimmers is more anaerobic (more participation of glycolytic energy pathways) than that of lower competitive level swimmers, imposing higher $\Delta[L a-]$ between the beginning and the end of the TLim test $-6.8 \pm 2.2$ vs. $8.2 \pm 1.6 \mathrm{mmol} . \mathrm{I}^{-1}, \mathrm{p}<0.05$ (Fernandes et al., 2006a). Mean TLim-vVO $\max$ for elite front crawl swimmers was found to be $237.3 \pm 54.6 \mathrm{~s}$, significantly different ( $\mathrm{p}<0.05$ ) than the $313.8 \pm 63.0 \mathrm{~s}$ observed for lower level swimmers (Fernandes et al., 2006a), similar with the 310 s of the example of figure 6. It is important to stress out that there are no significant differences in $T L i m-\mathrm{vVO}_{2} \max$ attributable to the swimming stroke performed (Fernandes et al., 2006b). We did found out mean values for freestyle of about $238.75 \pm 39.03 \mathrm{~s}$, for backstrokers of $246.08 \pm 51.93 \mathrm{~s}$, for butterflyers of $277.63 \pm 85.64 \mathrm{~s}$, and for breaststrokers of $331.43 \pm 82.73 \mathrm{~s}$.
Interestingly to note, especially to relate the first and second parts of this paper, is that, exploring the relationships between $T$ Lim- $\mathrm{vVO}_{2} \max$ and swimming economy, we correlated it with energy expenditure at $v \mathrm{VO}_{2} \max$, with $E C$ at $v V O_{2} \max$, with $E C$ at 1.2 and $1.3 \mathrm{~m} . \mathrm{s}^{-1}$ (velocities commonly used both by low and higher level swimmers, males and females), with $E C$ of the incremental protocol test, and with the Cslope of the $E(v)$ function. The only significant correlation that we found was a negative one, obtained between TLim-vVO2max and Cslope of the $E(v)$ function (Figure 8).


Figure 8. Relationship between $T$ Lim- $\mathrm{v}^{2} O_{2} \max$ and Cslope of the $E(v)$ function, computed for 10 low level, and 20 highly trained swimmers (Fernandes et al., 2006a).

The inverse relationships suggests that, the less economic the swimmer is, the lower the TLim-v $\mathrm{VO}_{2} \max$ value, conflicting with the major findings that support the idea that the best swimmers attain lower $T$ Lim- $\mathrm{vVO}_{2} \max$. The explanation for this may be found in the differences between the $\mathrm{VVO}_{2} \max$ values. Due to the expected cubic relationship between mechanical power and swimming velocity:
$P=D * v=K * v^{2} * v=K * v^{3}$
the much higher $\mathrm{vVO}_{2} \max$ of the elite swimmers impose also much higher $E C$, in proportion rather higher than the difference observed in velocity, determining lower economy values (Cslopes) for the high level swimmers.

Supporting this idea, and contradicting the possible easy lecture that the less economic (higher Cslope) are the most proficient (the lower TLim- $\mathrm{vVO}_{2} \max$ ), we obtained significantly higher $E C$ values for low level ( $13.6 \pm 2.2 \mathrm{j} . \mathrm{kg}^{-1} \cdot \mathrm{~m}^{-1}$ ) than highly trained ( $11.7 \pm 2.3 \mathrm{j} . \mathrm{kg}^{-1} \cdot \mathrm{~m}^{-1}$ ) swimmers. In figure 9 a global overview of the economy plots of a large sample of swimmers can be observed, both from the groups of low (LLS), and high level (HTS). It is possible to understand that LLS tend to spend more energy for the same $v$, or swim slower with the same $E$, but is also possible to perceive that there is important overlapping between the two groups. Moreover, it is rather important to note that from 0.9 to $1.4 \mathrm{~m} . \mathrm{s}^{-1}$ ( $55 \%$ increase), energy expenditure rises 5 times, even if extreme values are measured in swimmers of different proficiency.


Figure 9. A - Economy scattergram ( $E$ vs. $v$ ) of a large sample of swimmers ( $\mathrm{n}=30$ ), both from the groups of low (LLS), and high level (HTS); B - Male and female mean (and 95\% confidence intervals) economy profiles (Fernandes et al., 2006a).

Similar effect as the one observed for the Cslope was noticed for SL and SI (Fernandes et al., 2006c) - figure 10.


Figure 10. Relationships between TLim-vVO $\max$ and $S L$ and $S I$, computed for 23 highly trained swimmers (Fernandes et al., 2006c).

High $S L$ and $S I$ values correspond to rather different velocities, being the ones of the elite swimmers (lower TLim-vVO_max) which were much higher and, supposedly, determinant of less gliding techniques and, consequently, with lower $S L$ and $S I$ values.

## 4. CONCLUSION

Swimming energetic is needed to understand performance, and the complexity of its determinant factors;

With years of training, relative economy of different swimming techniques seem to be changing, despite continuous swimming techniques (front crawl and backstroke) are still considered most economic even though butterfly stroke seem to be have changed most over the recent years;

Swimming economy is dependent on intra-cyclic speed fluctuations in all four competitive strokes, despite absolute mean velocity can influence more to the energy cost than its fluctuation;

Stroke parameters, such as SL, SF, and SI, are also related to swimming economy;

- Swimming economy seem to be similar between genders;
- Aerobic energy expenditure determine the contribution of the swimmers' overall energy expenditure. To train the maximal aerobic power of a swimmer, it is important to note that 90 s is sufficient to attain VO2max, and that it can be sustained from almost 4 min to more than 5 min . Distances between 100 and 400 m can be used to plan training sets;
- The higher the competitive level of a swimmer, the lower the TLim-vVO $\mathrm{V}_{2} \max$, probably because $\mathrm{VVO}_{2} \max$ seem to be more anaerobic;
- The slow component of $\mathrm{VO}_{2}$ kinetics is always perceptible, and seem to play an important role in swimming energy expenditure, specially in swimmers of lower competitive level.


## 5. REFERENCES

Barbosa, T. M.; Fernandes, R.; Keskinen, K. L.; Colaço, P.; Cardoso, C.; Silva, J.; VilasBoas, J. P. (2006a). Evaluation of the Energy Expenditure in Competitive Swimming Strokes. Int. J. Sports Med., 27: 894-899.
Barbosa, T.; Keskinen, K.; Fernandes, R.; Colaço, P.; Carmo, C.; Vilas-Boas, J. P. (2005a). Relationship between energetic, stroke determinants, and velocity in butterfly stroke. Int. J. Sports Med., 26: 841-846.
Barbosa, T.; Keskinen, K.; Fernandes, R.; Colaço, P.; Lima, A.; Vilas-Boas, J. P. (2005b) Energy cost and intracyclic variation of the velocity of the centre of mass in butterfly stroke. Eur. J. Appl. Physiol., 93: 519-523.
Barbosa, T.M.; Lima, F.; Portela, A.; Novais, D.; Machado, L.; Colaço, P.; Gonçalves, P.; Fernandes, R.; Keskinen, K.L.; Vilas-Boas, J.P. (2006b). Relationships between energy cost, swimming velocity and speed fluctuation in competitive swimming strokes. In: Vilas-Boas, J.P., Alves, F. and Marques, A. (Eds.), Biomechanics and Medicine in Swimming X. Portuguese Journal of Sport Sciences, 6 (Suppl.2): 192-194.
Billat, V.; Faina, M.; Sardella, F.; Marini, C.; Fanton, F.; Lupo, S.; Faccini, P.; De Angelis, M.; Koralsztein, J. P.; Dal Monte, A. (1996). A comparison of time to exhaustion at VO2max in elite cyclists, kayac paddlers, swimmers and runners. Ergonomics, 39 (2): 267-277.

Cardoso, C.; Fernandes, R.; Vilas-Boas, J. P. (2003). Comparison of continuous and intermittent triangular protocols for direct $\mathrm{VO}_{2}$ max assessment in swimming. In J-C. Chatard (Edt.), Biomechanics and Medicine in Swimming IX, pp. 313-318. Saint-Étienne: Publications de l'Université de Saint-Étienne.

Costill, D.; Kovaleski, J.; Porter, D.; Fielding, R.; King, D. (1985). Energy expenditure during front crawl swimming: predicting success in middle-distance events. Int. J. Sports Med., 6: 266-270.

Craig, A.; Pendergast, D. (1979). Relationships of stroke rate, distance per stroke and velocity in competitive swimming. Med. and Sci. in Sport, 11: 278-283.
de Leva, P. (1996). Adjustments to Zatsiorsky-Seluyanov's segment inertia parameters. J. Biomechanics, 29(9): 1223-1230.

Demarie, S.; Sardella, F.; Billat, V.; Magini, W.; Faina, M. (2001). The VO2 slow component in swimming. Eur. J. Appl. Physiol., 84: 95-99.
di Prampero, P.; Pendergast, D.; Wilson, D.; Rennie, D. (1978). Blood lactatic acid concentrations in high velocity swimming. In: Eriksson B, Furberg B (eds), Swimming Medicine IV, pp. 249-261. Baltimore: University Park Press.
di Prampero, P. E.; Pendergast, D.; Wilson, D. W.; Rennie, D. W. (1974). Energetics of swimming in man. J. Appl. Physiol., 37 (1): 1-5.
Faina, M.; Billat, V.; Squadrone, R.; De Angelis, M.; Koralsztein, J. P.; Dal Monte, A. (1997). Anaerobic contribution to the time to exhaustion at the minimal exercise intensity at which maximal oxygen uptake occurs in elite cyclists, kayakists and swimmers. Eur. J. Appl. Physiol., 76 : 13-20.

Fernandes, R.; Billat, V.L.; Cruz, A.C.; Colaço, P.; Cardoso, C.; Vilas-Boas, J.P. (2006a). Does net energy cost of swimming affect time to exhaustion at the individual's maximal oxygen consumption velocity? J. Sports Med. Fisical Fitness, 46: 373-80.
Fernandes, R.; Cardoso, C.; Silva, J.A.; Vilar, S.; Colaço, P.; Barbosa, T.M.; Keskinen, K.L.; Vilas-Boas, J.P. (2006b). Assessment of the time limit at lowest speed corresponding to maximal oxygen consumption in the four competitive swimming strokes. In: Vilas-Boas, J.P., Alves, F. and Marques, A. (Eds.), Biomechanics and Medicine in Swimming X. Portuguese Journal of Sport Sciences, 6 (Suppl.2): 128-130.

Fernandes, R.; Marinho, D.; Barbosa, T.; Vilas-Boas, J. P. (2006c). Is time limit at the minimum swimming velocity of VO2max influenced by stroking parameters? Perceptual and Motor Skills, 103: 67-75.

Fernandes, R.J.; Cardoso, C.S.; Soares, S.M.; Ascensão, A; Colaço, P.J.; Vilas-Boas, J.P. (2003). Time limit and VO2 slow component at intensities corresponding to $\mathrm{VO}_{2} \mathrm{max}$ in swimmers. Int J Sports Med, 24: 582-587.
Holmér, I. (1974). Physiology of swimming man. Acta Phys. Scand., Suppl. 407: 1-55.
Howley E. T.; Basseet, T.; Welch, H. G. (1995). Criteria for maximal oxygen uptake: review and commentary. Med. Sci. Sports Exerc., 27: 1292-1301.

Keskinen, K.; Rodríguez, F; Kusch, M; Hoffmann, U. (2002). Validity of breath-by-breath spirometric measurements with two swimming snorkels assessed by a gas exchange simulation system. Book of Abstracts of the IXth World Symposium on Biomechanics and Medicine in Swimming. Saint-Étienne, p. 95.
Keskinen, K. L.; Rodríguez, F. A.; Keskinen, O. P. (2003). Respiratory snorkel and valve system for breath-by-breath gas analysis in swimming. Scand. J. Med. Sci. Sports, 13: 322329.

Kuipers, H.; Verstappen, F. T.; Keize, H. A.; Guerten, P.; Van Kranenburg, G. (1985). Variability of aerobic performance in the laboratory and its physiologic correlates. Int. J. Sports Med., 6: 197-201.
Rodríguez F, Keskinen K, Keskinen O, Malvela M (2003). Oxygen uptake kinetics during free swimming: a pilot study. In: Chatard J.-C. (ed). Biomechanics and Medicine in Swimming IX, pp. 279-384. Saint-Étienne: Publications de l'Université de Saint-étienne.
Schmidt-Nielsen, K. (1972). Locomotion: energy cost of swimming, flying, and running. Science, 177: 222-228.

Toussiant H, Meulemans A, De Groot G, Hollander AP, Schreurs A, Vervoon K (1987). Respiratory valve for oxygen uptake measurement during swimming. Eur. J. Appl. Physiol., 56: 363-366.

Vilas-Boas, J.P. (1996). Speed fluctuations and energy cost of different breaststroke techniques. In J. P. Troup; A. P. Hollander; D. Strasse; S. W. Trappe; J. M. Cappaert; T. A. Trappe (Eds.), Biomechanics and Medicine in Swimming VII: Proceedings of the Seventh International Symposium on Biomechanics and Medicine in Swimming, pp. 167-171. London: E \& F Spon.
Vilas-Boas, J.P.; Santos, P. (1994). Comparison of swimming economy in three breaststroke techniques. In: M. Miyashita; Y. Mutoh; A. B. Richardson (Eds.), Medicine and Science in Aquatic Sports, pp. 48-54. Med. Sport Sci., 39. Basel: Karger.
Vilas-Boas, J.P.; Cunha, P.; Figueiras, T.; Ferreira, M. \& Duarte, J. (1997). Movement analysis in simultaneous swimming techniques. In: K. Daniel, U. Huffmann \& J. Klauck (Eds.), Cologne Swimming Symposium, pp. 95-103. Verlag, Bocknem: Sport Fahnemann.

