

A binomial stochastic simulated study of mutualism

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Mutualism = Win / Win



Xylocopa darwini & *Parkinsonia aculeata*
Author: James van Gundy 

Bipartite weighted directed networks



Source: Nicholas S. Fabina, UC Davis



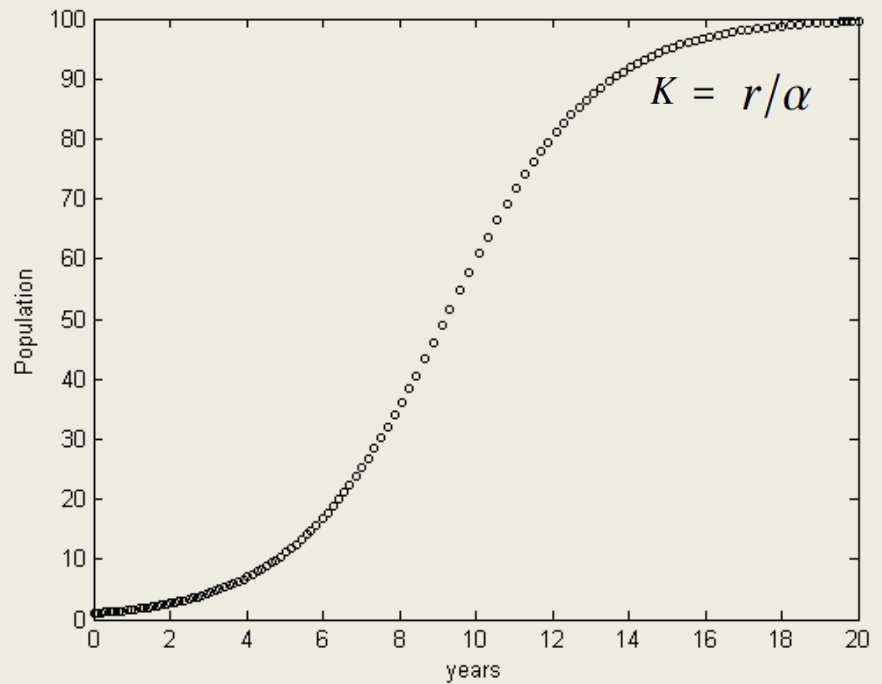


$$\frac{dN}{dt} = r N$$

$$N = N_0 e^{rt}$$



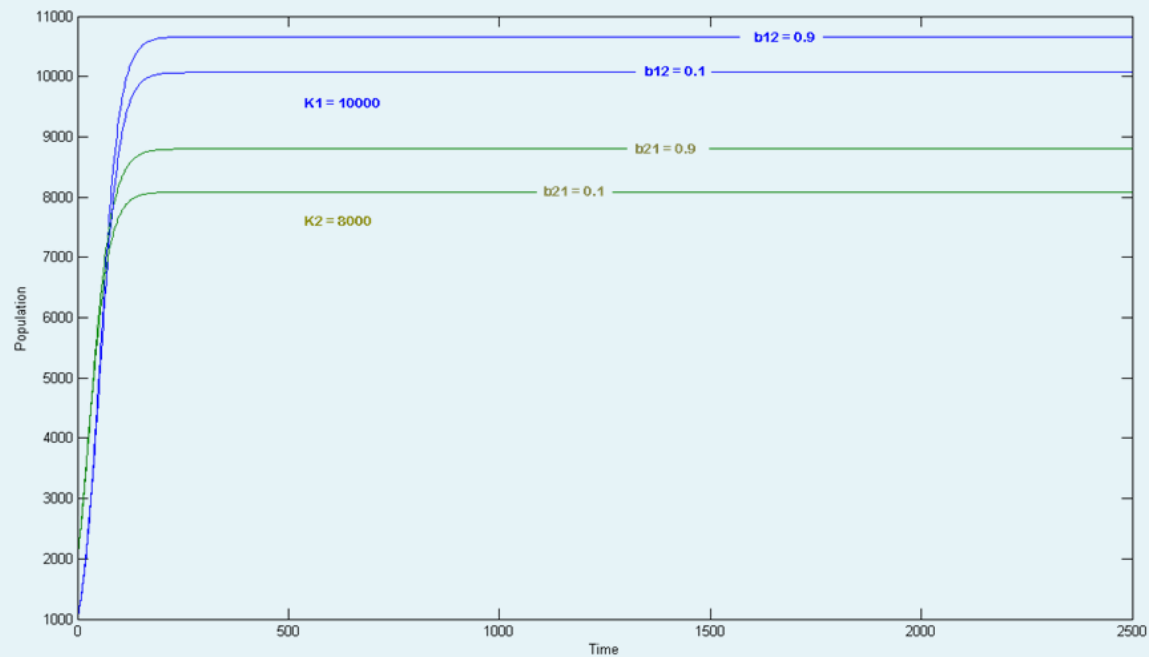
$$\frac{dN}{dt} = rN - \alpha N^2$$



$$\frac{dN}{dt} = rN \left(1 - \frac{N}{K}\right)$$

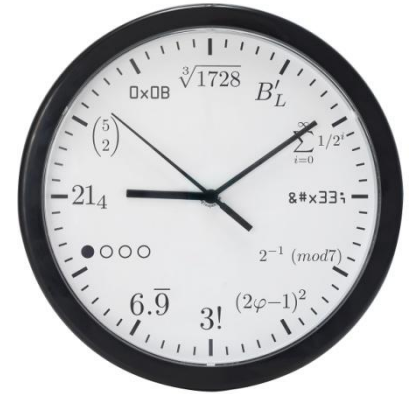


$$\frac{dN_1}{dt} = r_1 N_1 \left(1 - \frac{N_1}{K_1} \right) + r_1 N_1 \beta_{12} \frac{N_2}{K_1}$$
$$\frac{dN_2}{dt} = r_2 N_2 \left(1 - \frac{N_2}{K_2} \right) + r_2 N_2 \beta_{21} \frac{N_1}{K_2}$$





$$\frac{1}{N} \frac{dN}{dt} = \left(r - |r| \frac{N}{K} \right) = r \left(1 - \text{sign}(r) \frac{N}{K} \right)$$

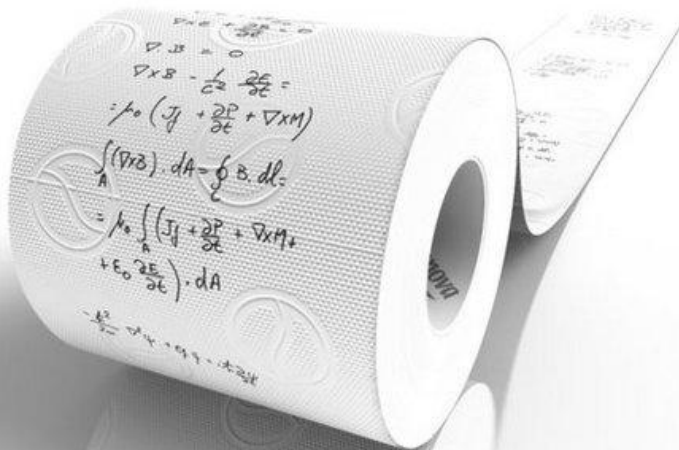


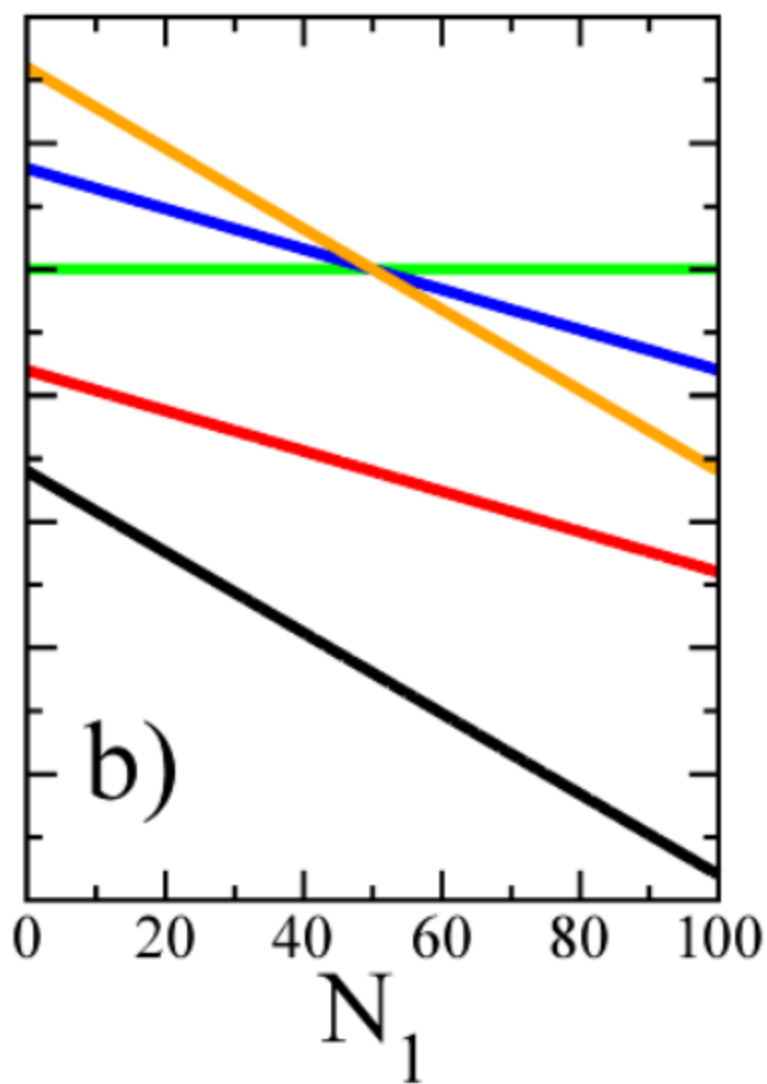
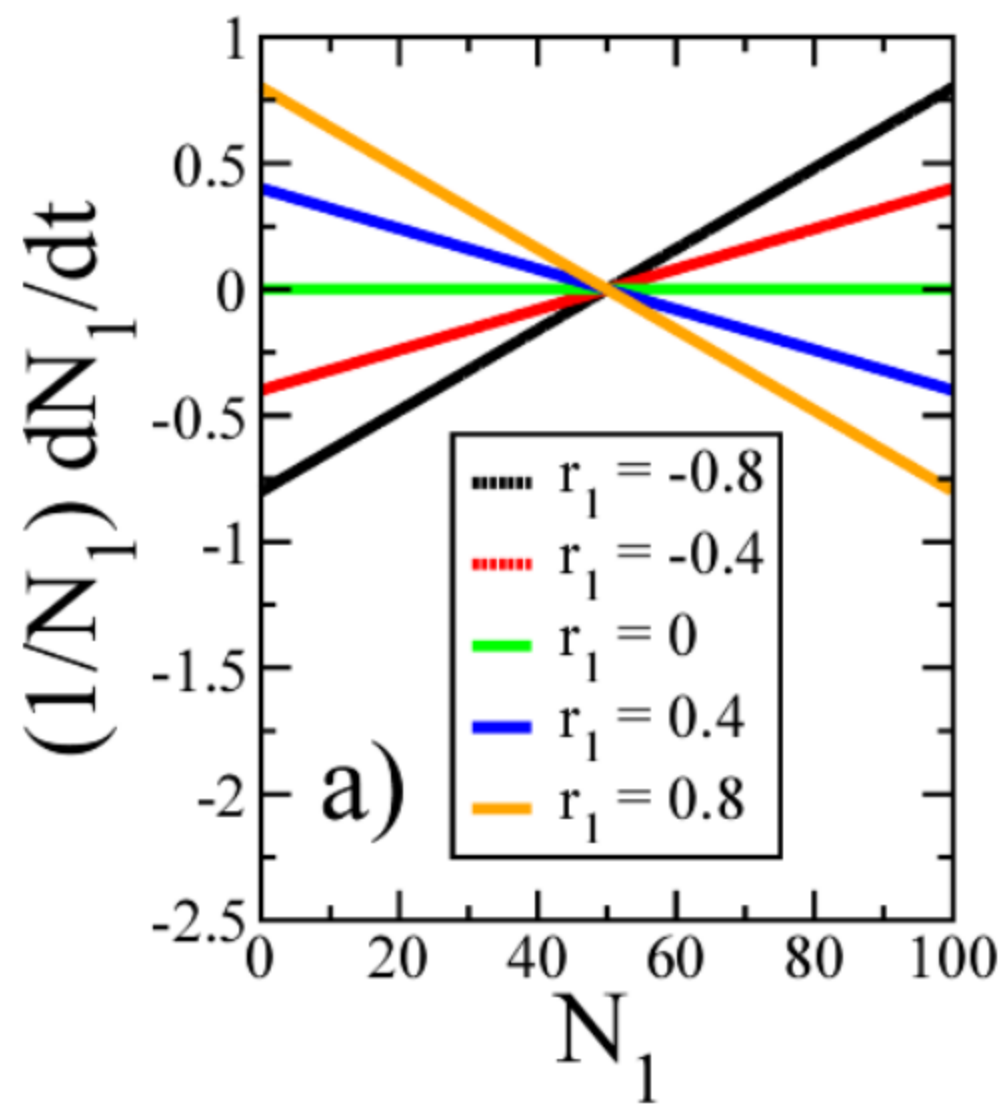
$$r_{efi}^a = r_{bi}^a - r_{di}^a + \sum_{k=1}^m b_{ik} N_k^p$$

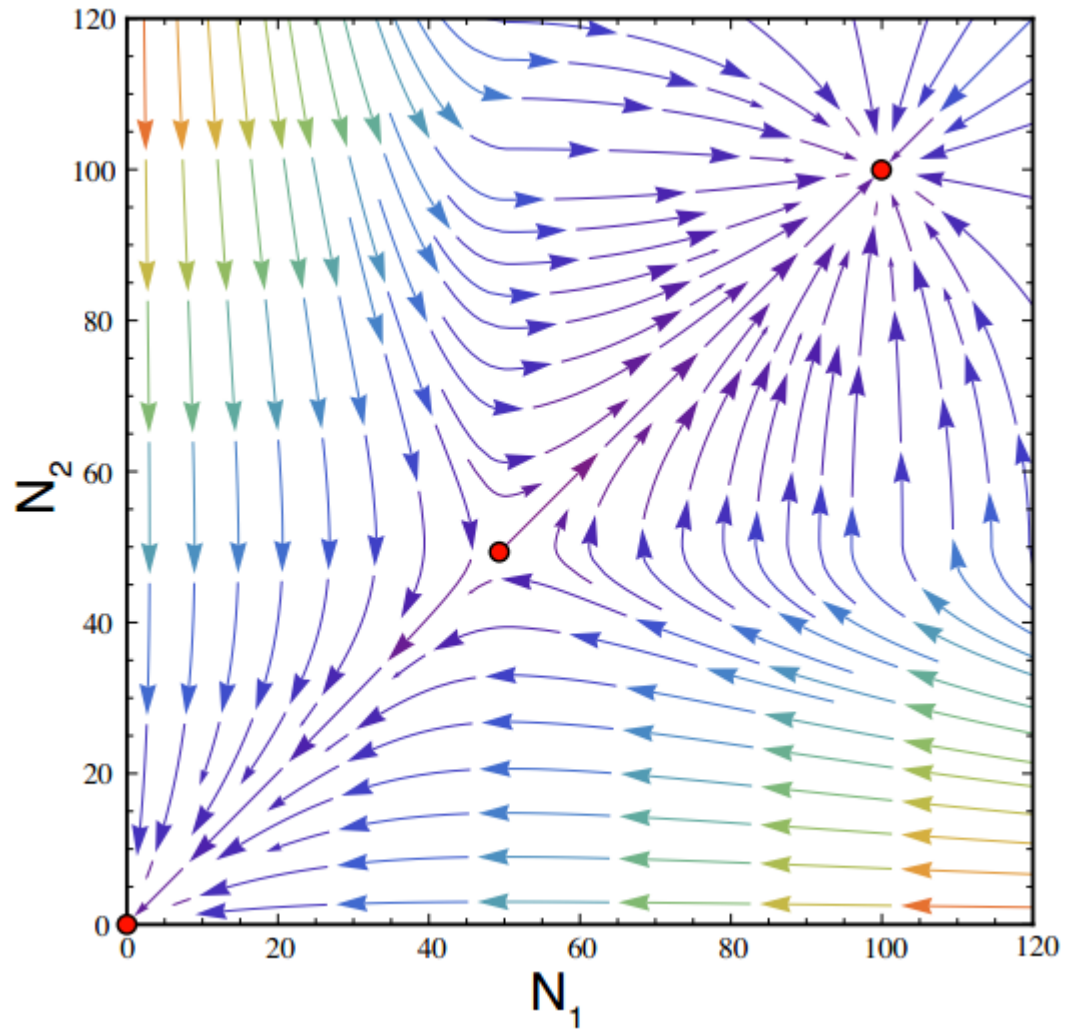
$$r_{efj}^p = r_{bj}^p - r_{dj}^p + \sum_{s=1}^n b_{js} N_s^a$$

$$\frac{1}{N_i^a} \frac{dN_i^a}{dt} = r_{efi}^a - |r_{efi}^a| \frac{N_i^a}{K_i^a}$$

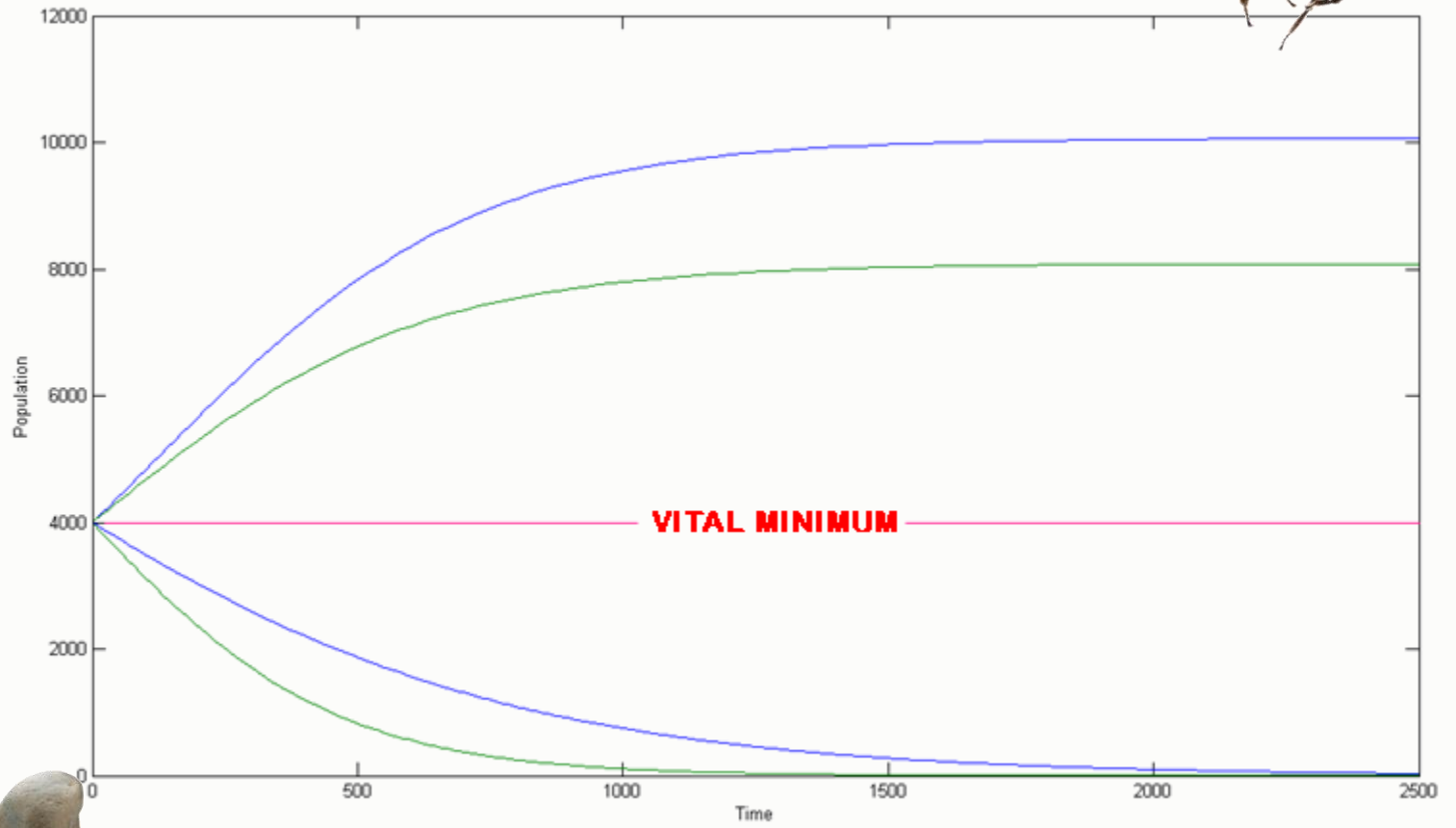
$$\frac{1}{N_j^p} \frac{dN_j^p}{dt} = r_{efj}^p - |r_{efj}^p| \frac{N_j^p}{K_j^p}$$







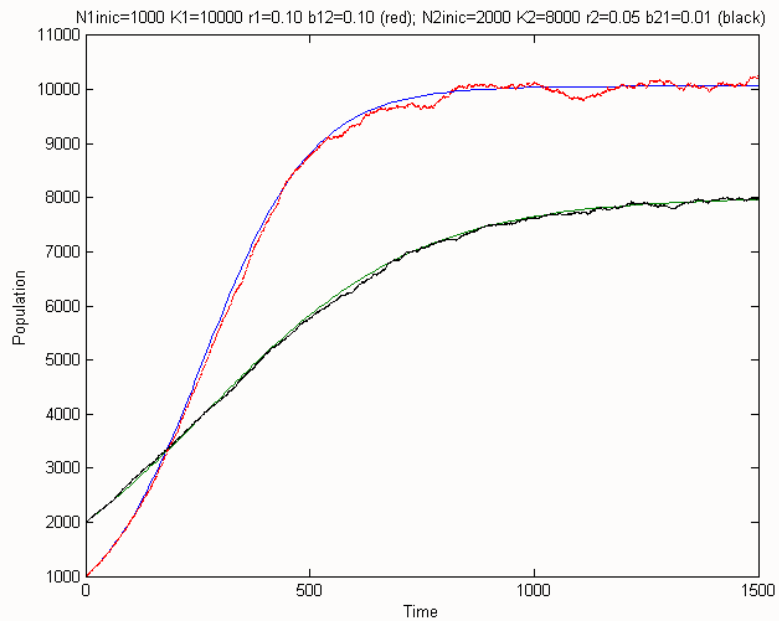
$$r_1^a = r_2^p = -2.5, b_{12} = b_{21} = 0.05 \text{ and } K_1^a = K_2^p = 100$$

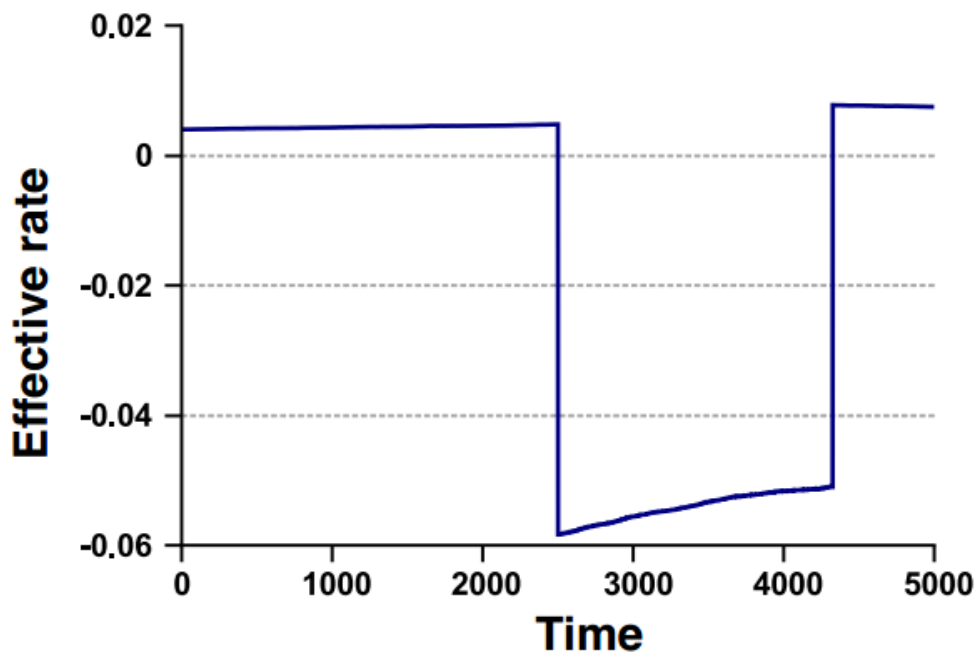


$$P = \int_0^{\Delta T} e^{-rT} dt = 1 - e^{-r\Delta T}$$

$$N(t + \Delta T) = N(t) + \text{sgn}(r) \text{Binomial}(N(t), P)$$

$$\hat{r}_{eq} = e^{r_{eq}/365} - 1$$






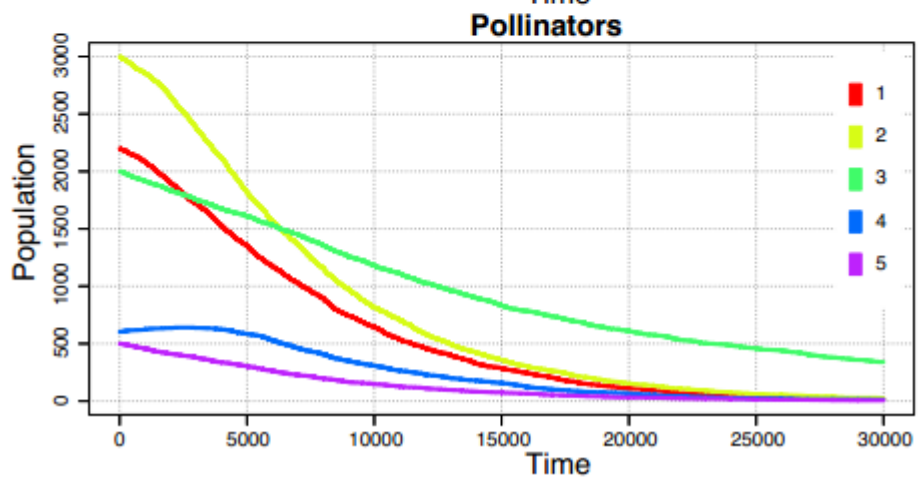
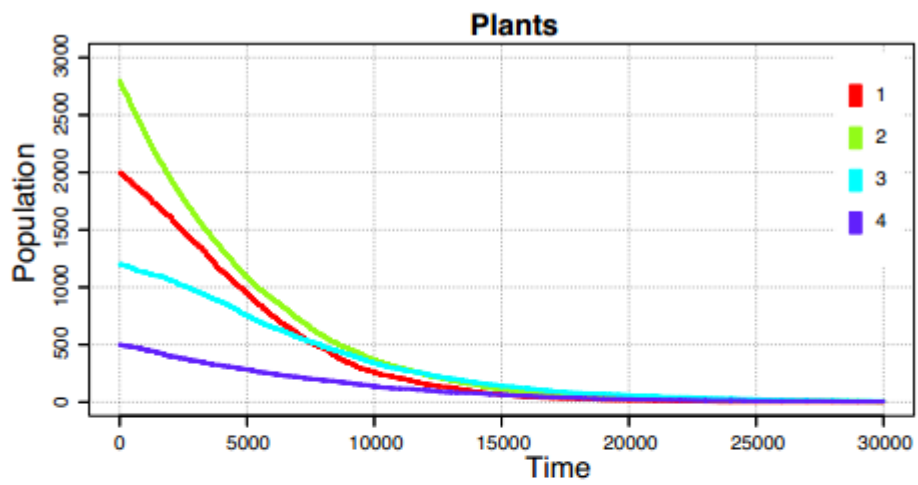
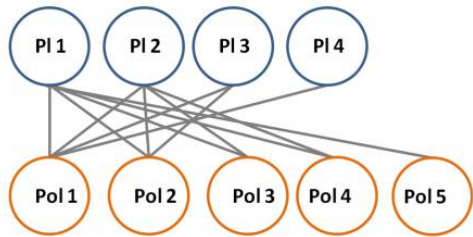
 python
powered
`print("Hello, world!")`

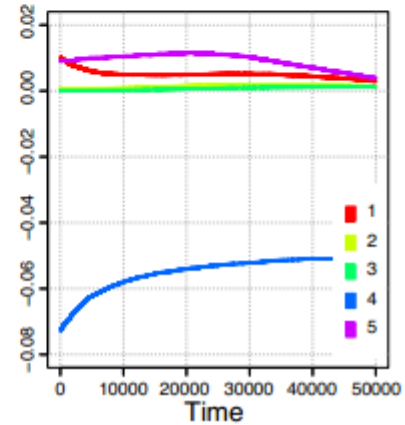
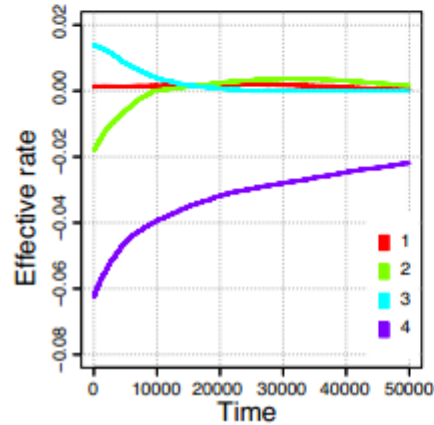
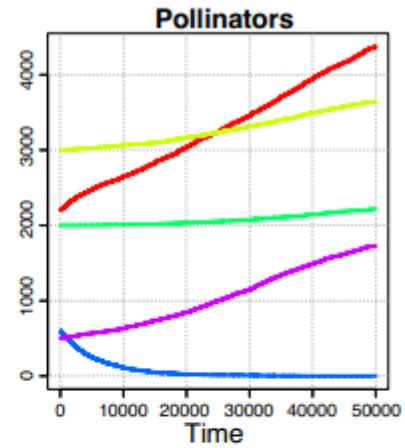
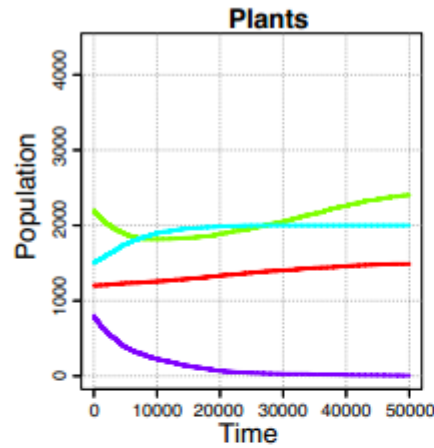
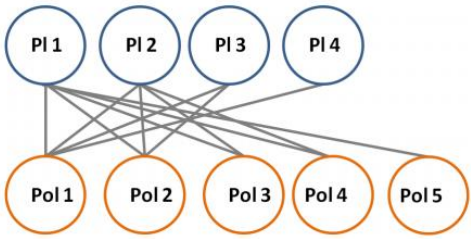


 NumPy

 $\vec{v} \cdot \nabla \vec{v} = -\nabla p + \mu \nabla^2 \vec{v} + \rho \vec{g}$
matplot

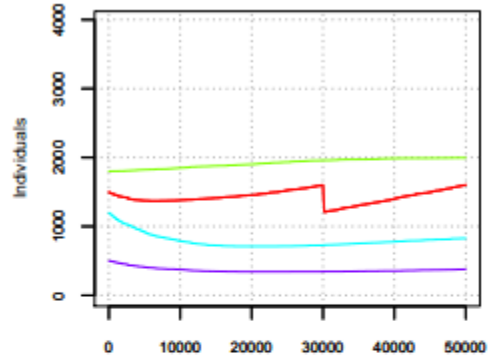




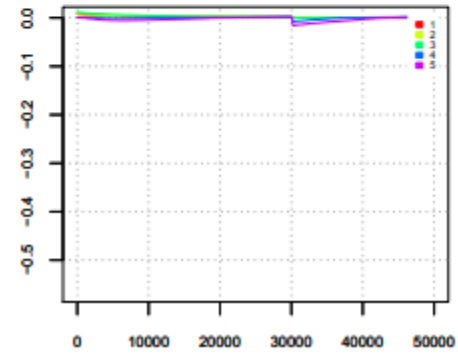
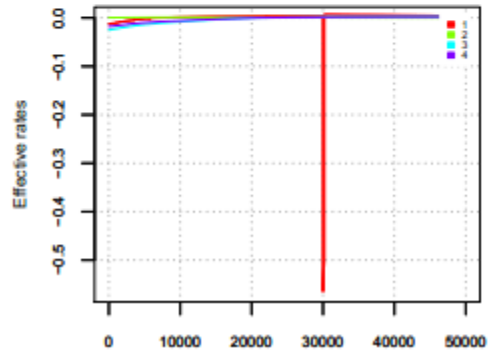
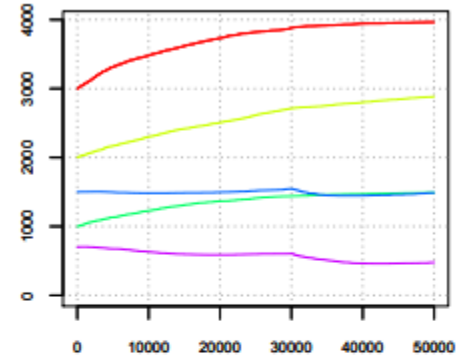




Plants

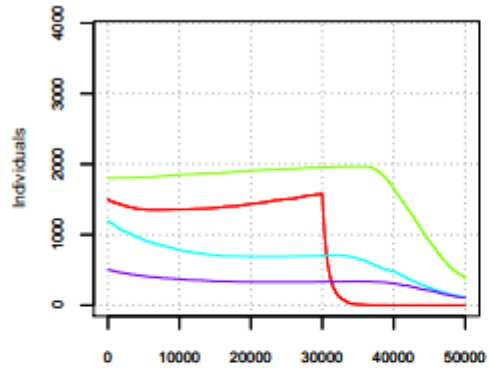


Pollinators

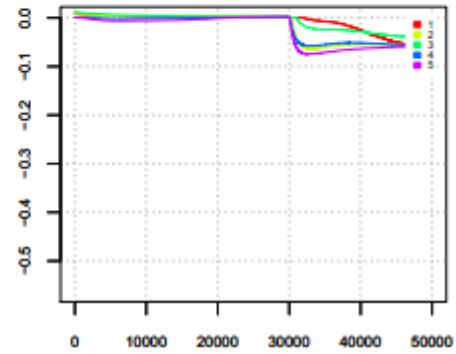
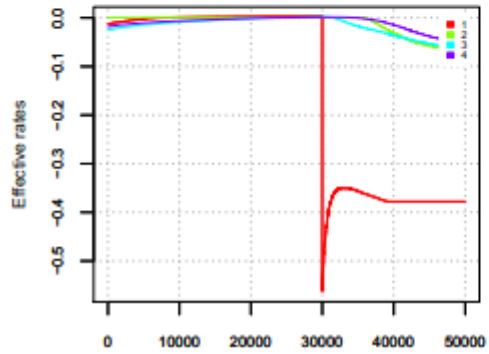
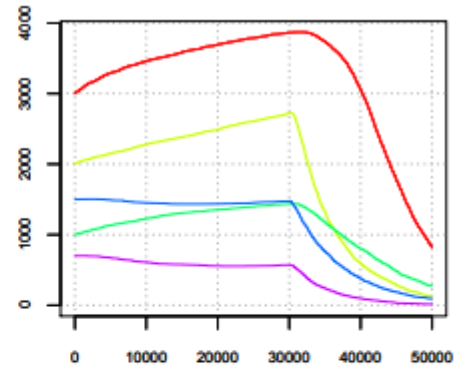


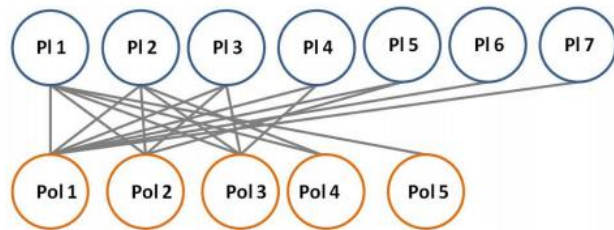


Plants

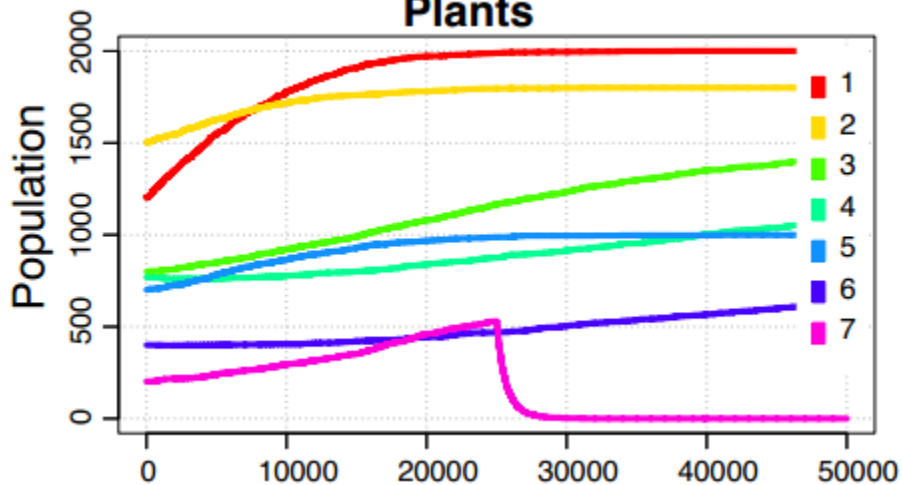


Pollinators

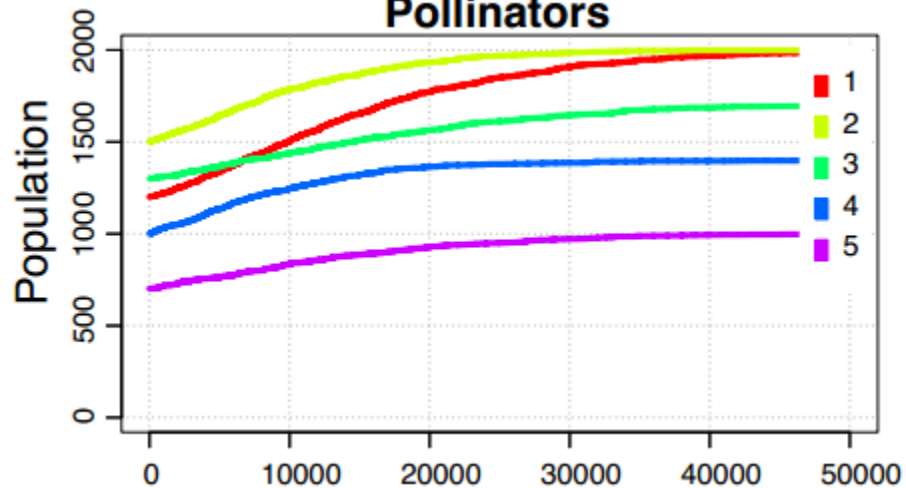


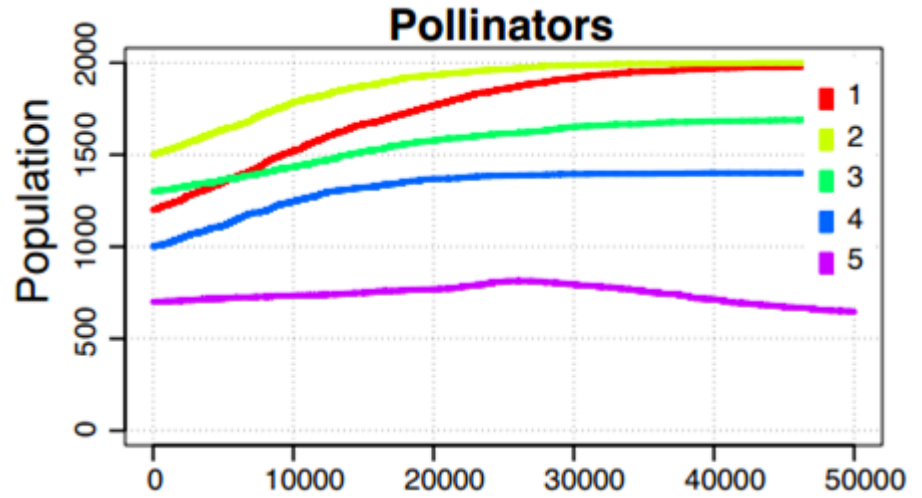
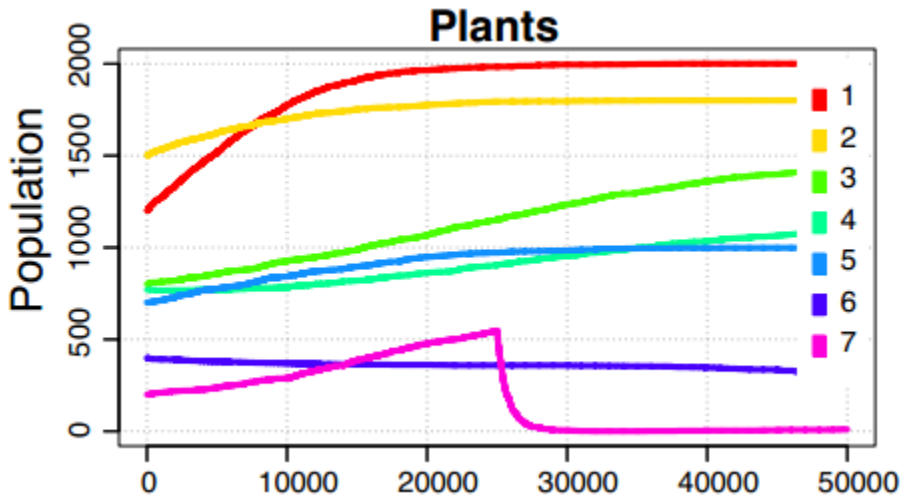
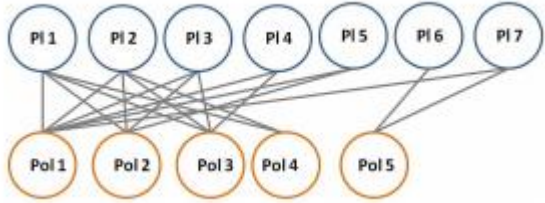


Plants

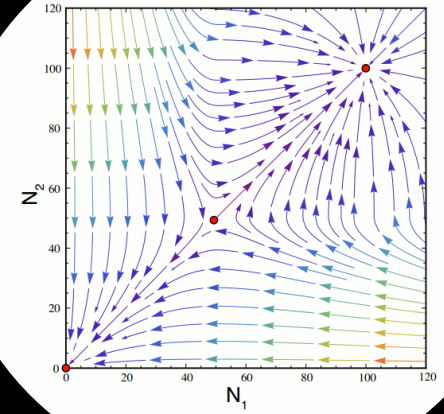


Pollinators





$$\frac{1}{N} \frac{dN}{dt} = \left(r - |r| \frac{N}{K} \right)$$



```

def C1c10NewModel(rtot_species, period, Nindivs, K, algorithm):
    if (algorithm == "Euler12_1001") :
        rcal = np.float32(rtot_species) - np.float32(abs(rtot_spe
    elif (rtot_species>0):
        rcal = np.float32(rtot_species) - np.float32(rtot_spe
    else:
        rcal = np.float32(rtot_species)
    rresponse = r_period/abs(rcal),period)
    term = Nindivs*ap.sign(rcal)
    if (term == 0):
        indNew1ch = 0
    else:
        indNew1ch = binomial(abs(term),1-exp(-1*rresponse))
    ind_pop = Nindivs + np.sign(term)*indNew1ch
    ret=(ind_pop,rcal)
    #return (ind_pop,abs(float32(rtot_species))
  
```

