

Comparative study of ion beam-irradiation effects on silica and α -quartz: Evidences for excitonic mechanisms

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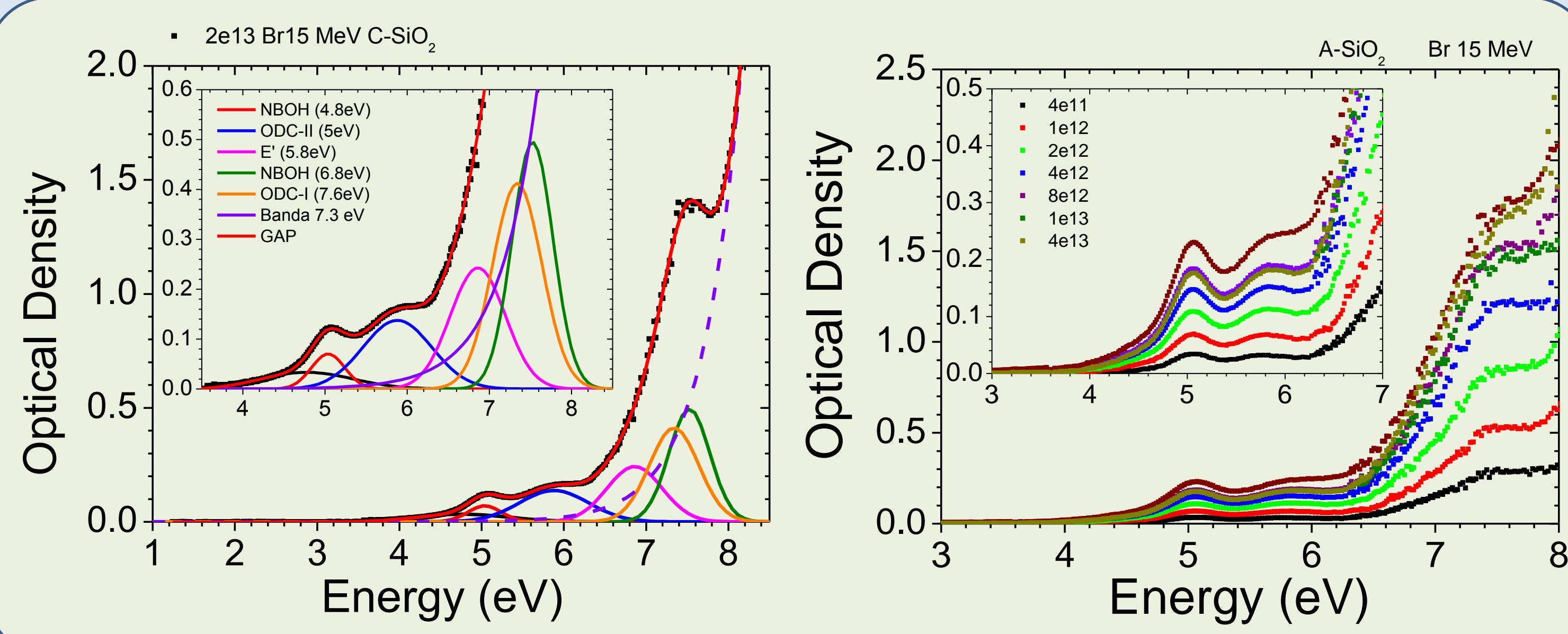
Introduction

- SiO_2

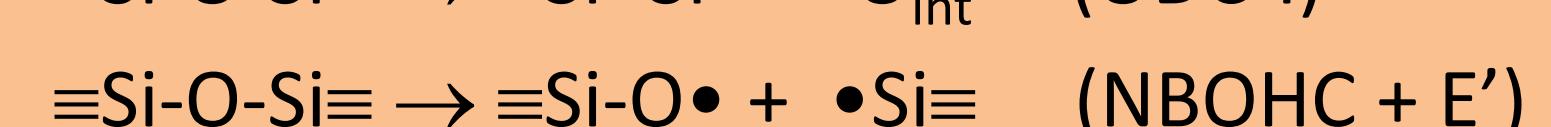
- Simple composition and structure; Crystalline and amorphous phases
- Adequate for atomistic simulations
- Abundant in nature. Relevant for many technologies

- Irradiation with swift heavy ions:

- They provide EXTREME physical conditions
- Very high excitation densities similar to high power lasers
- Very high local temperatures
- By playing with high energy and heavy mass (SHI) :
- One can go from low electronic excitations (collisions regime) to high electronic excitations (electronic regime)



Excitonic mechanism



Ref [4,5]

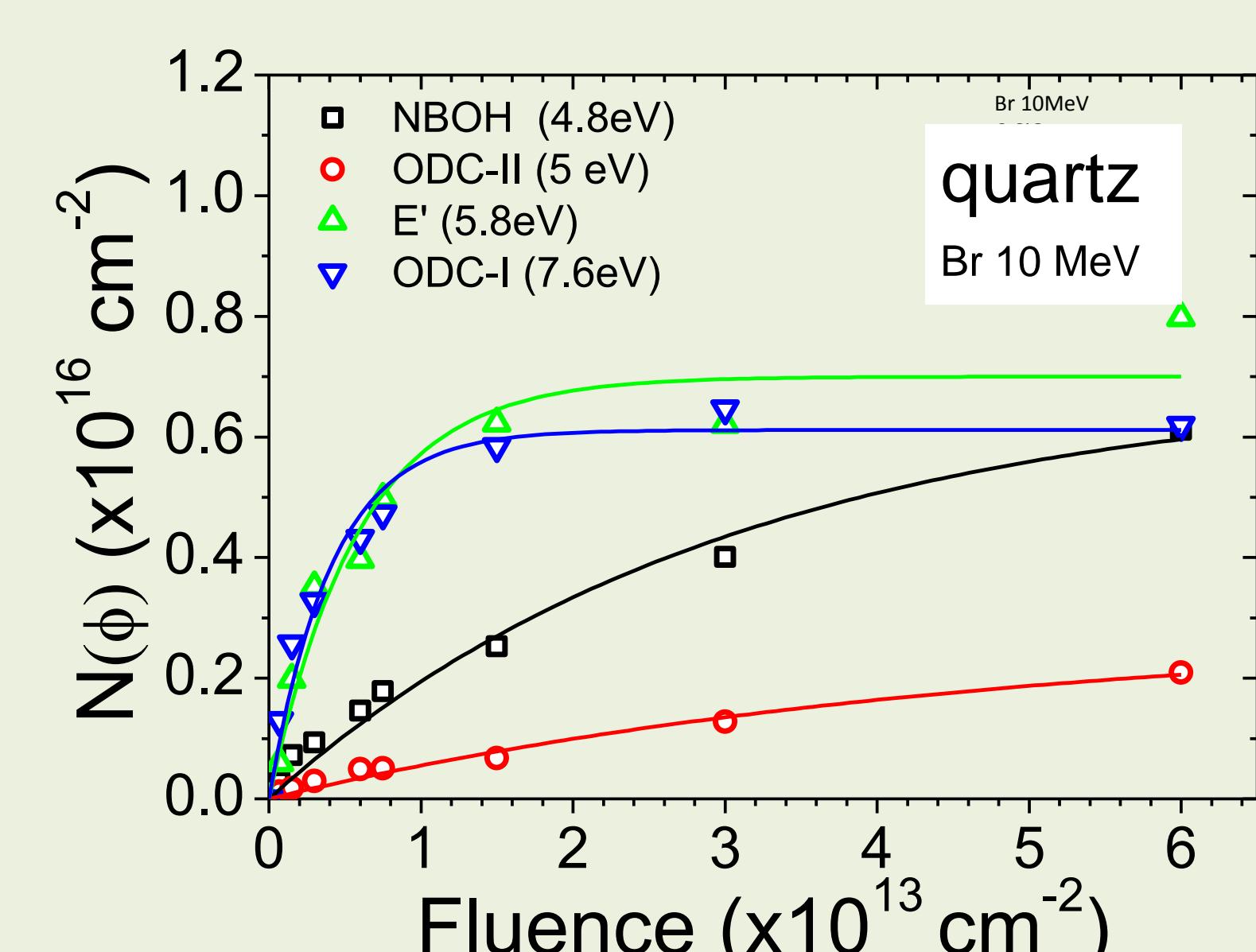
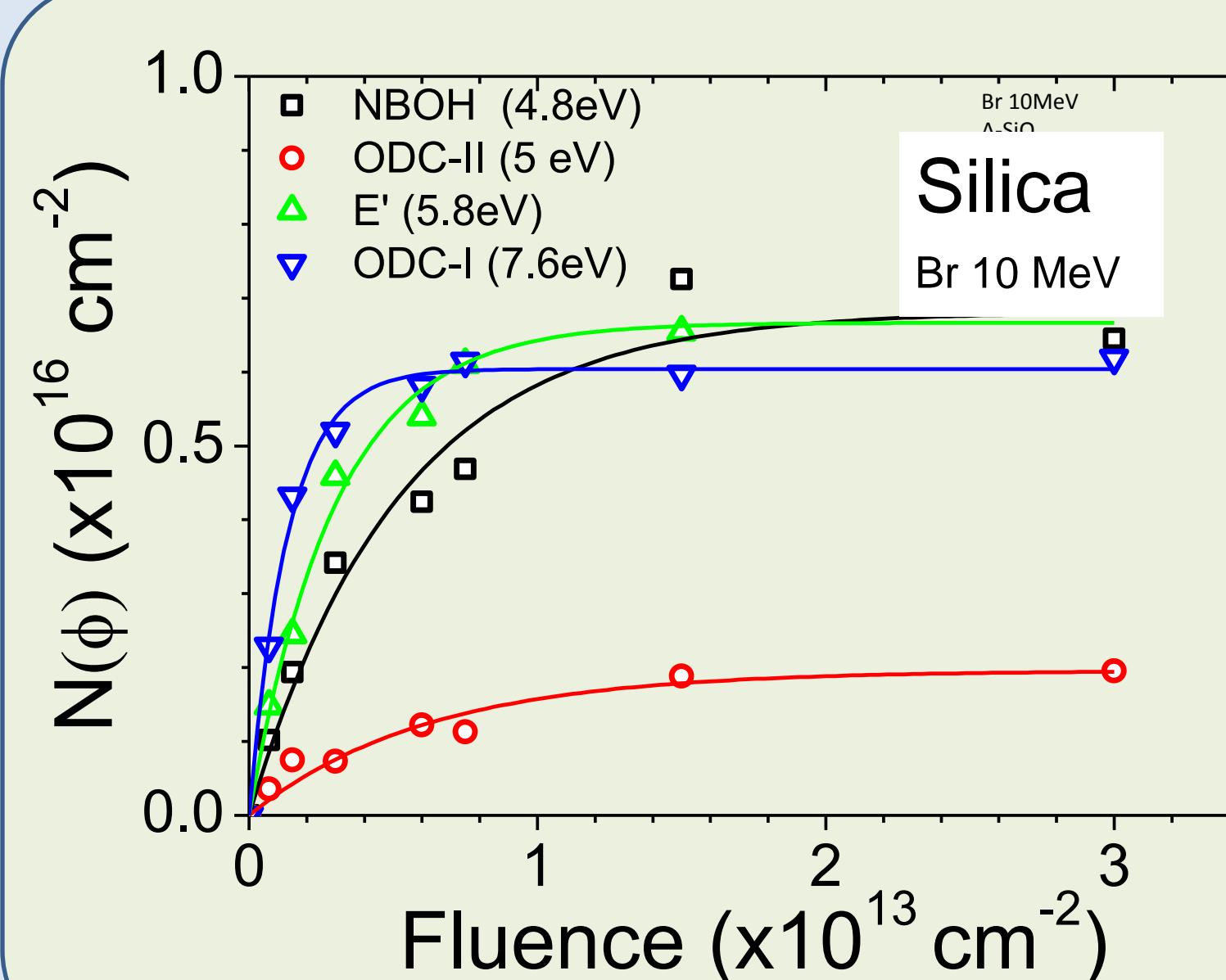
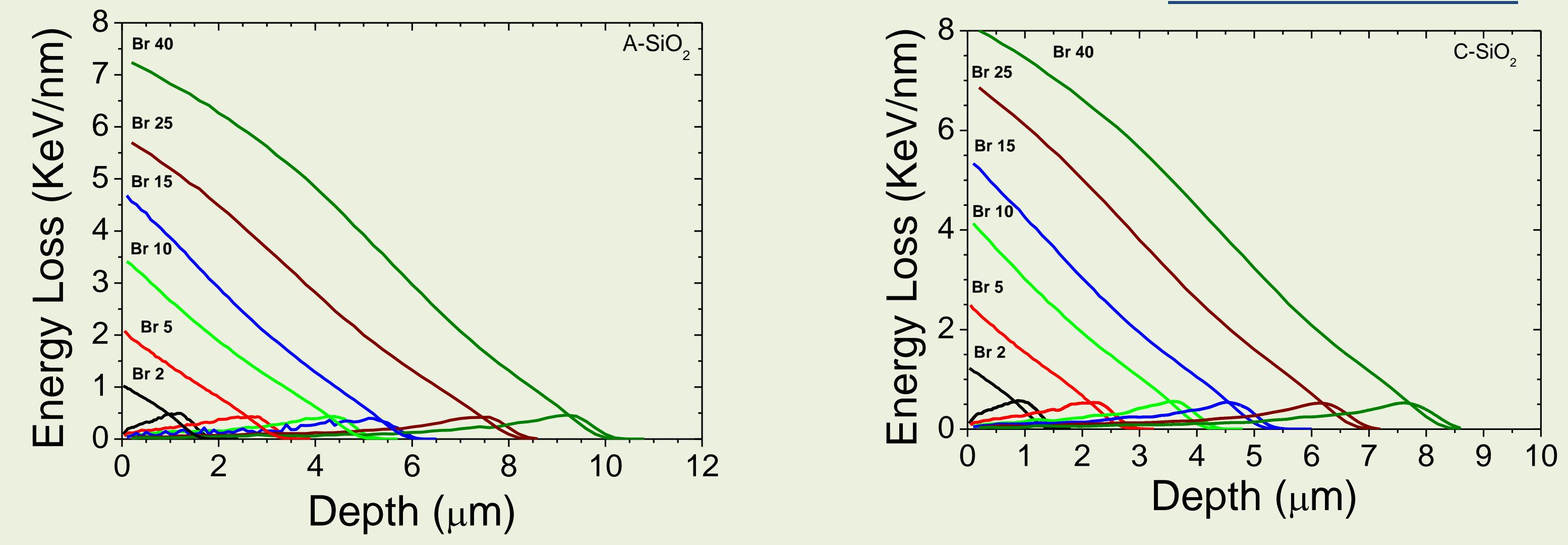
Excitons self trap preferentially in stressed bonds

Ref [6,7]

Experimental

- Samples: SiO_2 $6 \times 6 \times 1 \text{ mm}^3$
- Ions: Br 2-40 MeV
- Beam inhomogeneity $< 10\%$
- $J \approx 10-30 \text{ nA}$

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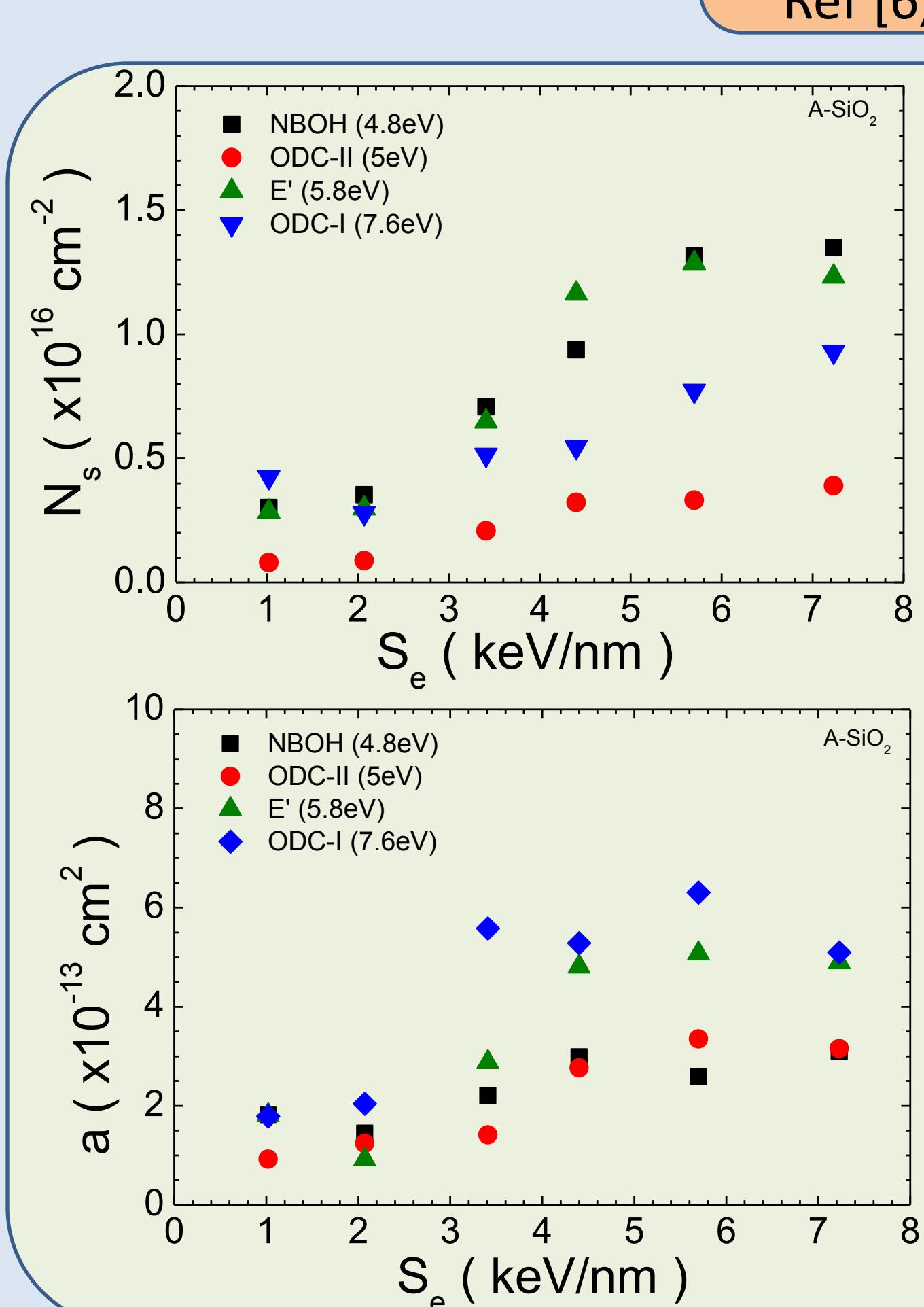


- Growth curves: Poisson-like. Cross-sections σ and saturation values N_s .
- Why the growth reaches a steady state?
- Saturation or dynamical equilibrium between creation and annealing?
- Dependence of k and N_s on stopping power S_e

$$N(\phi) = N_s \{1 - \exp(-\sigma\phi)\}$$

$$k = \sigma N_s$$

Position (eV)	FWHM (eV)	Oscillator strength	Defect
4.8	1 - 1.2	0.05	NBOHC
5.0	0.35 - 0.4	0.15	ODC-II
5.8	0.8 - 0.9	0.15	E'
6.8	1.7	0.05	NBOHC
7.6	0.5	0.4	ODC-I



$$\frac{dc(\phi, z)}{d\phi} = g(S_e) - a(S_e)c(\phi, z)$$

$$\frac{dN(\phi)}{d\phi} = g(E) - a(E)N(\phi)$$

$$N_s = \frac{g(E)}{a(E)}, \quad \sigma = a(E)$$

$g(S_e)$ and $a(S_e)$ are overall values for the creation and annihilation rates at a depth z , where the stopping power is S_e

References

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Conclusions

- Creation rates show a rather linear dependence on ion energy except at low enough energies where a constant stage is observed
- Higher efficiency for defect creation in silica (role of strained bonds?)
- N_s grows with ion energy up to a maximum value and from then onwards it either saturates (silica) or decreases (quartz). This effect implies an annihilation term.
- Growth kinetics suggest that excitonic mechanisms (probably in synergy with thermal ones) play an important role in defect formation.

Acknowledgements

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