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Two Polymorphs of Bis(4-methoxyphenyl)tellurium(IV) Diiodide[†]

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Abstract

The title compound, $(C_7H_7O)_2TeI_2$ (or $C_{14}H_{14}I_2O_2Te$), crystallizes in space group $P\overline{1}$, either with Z = 8, (Ia), or Z = 4, (Ib). The six independent molecules [four in (Ia) and two in (Ib)] have very similar structures. The geometry at the Te atoms is pseudo-trigonal bipyramidal, with the I atoms in the axial positions and the anisyl groups and the lone pair of electrons in the equatorial plane. The Te-C and Te-I distances are in the ranges 2.107 (4)-2.128 (6) and 2.8549 (10)-3.0071 (10) Å, respectively. In both polymorphs, the molecules are associated via Te... I secondary bonds [3.6922 (6)-3.9017 (7) Å] to form centrosymmetric tetramers in which the Te₄I₈ cores display step-like geometries. Including the secondary interactions, the coordination about each Te atom is distorted octahedral.

Comment

Within our program of synthetic and structural studies on organotellurium compounds (Farran et al., 1997, and references therein), we prepared several bis-aryltellurium(IV) dihalides, among them bis(p-methoxyphenyl)tellurium(IV) diiodide, (I). During crystallization trials of this compound, we noticed that some solvents produced crystals of different colours and/or morphology. This observation prompted a more systematic study of these crystals, which included many solvents (and mixtures of them), unit-cell determinations of some 25 specimens and several structure analyses. These studies revealed that some solvents (*e.g.* acetone, ether, xylene) form red crystals, which are apparently quite stable and contain only the title compound. Other solvents (e.g. benzene, toluene, acetonitrile, DMSO), in addition to the red crystals, produce solvated crystals of different appearances, which exhibit a slow decay because of solvent loss. Furthermore, if molecular iodine is present in the solution (from unreacted excess used in the synthesis), some solvents (e.g. benzene, chloroform) incorporate it as such into the crystal structure.



Lattice-parameter measurements revealed that among the red crystals there are two polymorphs, one belonging to space group $P\overline{1}$ with Z = 8 [hereafter named (Ia)] and other also belonging to $P\overline{1}$, but with Z = 4 [hereafter named (Ib)], isostructural with the dichloro (Chadha & Drake, 1984) and dibromo (Farran *et al.*, 1995) analogues of the title compound. We report here the structures of the polymorphs (Ia) and (Ib), while those of the co-crystals (I).0.5C₆H₆, (I).0.5CH₃CN, (I).0.5DMSO and (I).0.5I₂, will be published elsewhere (Farran, Alvarez-Larena, Capparelli, Piniella, Germain & Torres-Castellanos, 1998).

The structure analyses showed that (Ia) and (Ib) contain only molecules of $(p-MeOC_6H_4)_2TeI_2$ which, in both polymorphs, are associated into discrete tetramers by means of Te. I interactions. In the two crystal structures there are, in all, six independent molecules of compound (I), which have very similar geometries (Fig. 1). The Te atom displays the expected disphenoidal (i.e. pseudo-trigonal bipyramidal) coordination predicted by the valence-shell electron-pair repulsion (VSEPR) model for an AX_4E molecule (Gillespie & Hargittai, 1991, and references therein), in which the I atoms occupy the axial positions, while the organic ligands and the lone pair of electrons lie in the equatorial plane. The range of Te-C distances [2.107(4)-2.128(6)Å] is narrow (ca 4 s.u.'s) and their values are comparable to 2.116 (20) Å, tabulated by Allen et al. (1987) for Te-C(aryl). The range of Te-I distances is much wider (ca 152 s.u.'s) due to the influence of the secondary Te...I bonds. The shorter values [2.8549(10)-2.8766(11) Å] correspond to I atoms not involved in secondary bonding; bonds of intermediate length [2.8894(10)-2.9661(11)] Å] are formed by I atoms participating in one secondary bond; the longest Te-I bonds [2.9713(5)-3.0071(10) Å] are those in which the I atoms form two secondary bonds. The shorter distances are comparable to the sum of the covalent radii (2.85 Å, using octahedral radius for tellurium; Mangion et al., 1975, and references therein). The range of Te-I distances is similar to those found in other organotellurium iodides with analogous Te...I interactions (Alcock & Harrison, 1984: McCullough et al., 1985, and references therein). It has been suggested that while the individual Te—I bond lengths are greatly affected by secondary bonding, the average value in a

[†] Alternative name: diiodobis(4-methoxyphenyl)tellurium(IV).

given I—Te—I system is not (McCullough *et al.*, 1985). Indeed, the range of these averages [2.9167–2.9328 Å] is *ca* 9.5 times smaller than that of the individual values, although in this case, it could simply be because in all six TeI₂ groups of (Ia) and (Ib), the halogens participate in two secondary bonds (either 1 + 1 or 0 + 2 bonds per iodine).



Fig. 1. View of one of the molecules in (Ia). Displacement ellipsoids are drawn at the 50% probability level.

The C—Te—C angles [range $95.3(3)-97.9(2)^{\circ}$] are substantially smaller than 120°, due to the repulsion of the non-bonded pair of electrons on the bonded ones. The I-Te-I groups deviate significantly from linearity [range of angles $174.63(3)-176.41(3)^{\circ}$], a feature observed in most disphenoidal R_2 Te X_2 organotellurium halides. The sense and magnitude of this deviation depends on the balance between electronic and steric effects (Gillespie, 1961; Ziolo & Troup, 1983), and the angle $\varphi(X - \text{Te} - X)$ ranges from $\varphi > 180^{\circ}$ (towards the organic side) for fluorine to $\varphi < 180^{\circ}$ (towards the lone pair) for iodine. For instance, in the series Ph_2TeX_2 (X = F, Cl, Br, I), the φ angles are 186.9(1) (Berry & Edwards, 1980), 184.46(7) (Alcock & Harrison, 1982), 178.0(2) (Christofferson & McCullough, 1958), 175.53 (5) (α -form) and 174.32° (β -form, average) (Alcock & Harrison, 1984); while in the series $(p-Me_2NC_6H_4)_2TeX_2$ (X = F, Cl, Br), the values are 187.71 (7), 176.47 (4) and 174.28 (3)° (Farran, Alvarez-Larena, Capparelli, Piniella & Torres-Castellanos, 1998). In the series $(p-\text{MeOC}_6\text{H}_4)_2\text{Te}X_2$ (X = Cl, Br, I), the title compound follows the same trend: 181.7 (average) (Chadha & Drake, 1984), 179.28 (average) (Farran et al., 1995), 175.26 [(Ia), average] and 175.21° [(Ib), average].

As expected, the I—Te—I and C—Te—C moieties are perpendicular to each other [range of dihedral angles $88.4(3)-91.1(3)^{\circ}$]. The aromatic rings are quite planar, but the Te atoms are non-coplanar with the rings [range of deviations 0.0109(3)-0.1362(8) Å]. In each molecule, the two rings display a propeller-like arrangement, with ranges of dihedral angles C—Te— C/ring of 28.8(3)-49.8(3)^{\circ} and ring/ring of 50.2(3)- $61.8 (3)^{\circ}$. The methoxy groups are nearly coplanar with the rings [range of C—O—C/ring dihedral angles $1.4 (6)-12.2 (7)^{\circ}$].

In the solid state, organotellurium(IV) halides exhibit a strong tendency to form intermolecular associations, often leading to octahedral environments about the Te atoms (Mangion *et al.*, 1975; McWhinnie & Monsef-Mirzai, 1983). Accordingly, the crystal structures of both polymorphs contain discrete centrosymmetric tetramers (Fig. 2) in which the individual molecules are linked by secondary Te...I bonds (Alcock, 1972, 1990). These tetramers consist of a step-like Te₄I₈ core, with the I— Te—I lines perpendicular to the Te...I...Te...I middle plane and eight *p*-anisyl groups pointing outwards and perpendicularly to the I—Te—I lines.

Tetramers of Te^{1V} halides can display Te₄ X_4 cores with cubane- or step-like arrangements. Several compounds are known to adopt the former type of core geometry, for instance TeCl₄ (Buss & Krebs, 1971) [and probably TeBr₄ (Shoemaker & Abrahams, 1965)], Et₃TeCl (Chadha & Drake, 1986) and Et₃TeBr (Chadha et al., 1984). Aside from the isostructural dichloro and dibromo analogues (Chadha & Drake, 1984; Farran et al., 1995), two organotellurium dichlorides form steplike tetramers, viz (C₆H₅)(p-BrC₆H₄)TeCl₂ (Chadha et al., 1983) and (C12H8O)TeCl2 (Korp et al., 1980), while a triiodide, (p-MeOC₆H₄)TeI₃ (Bird et al., 1980), also displays similar tetramers (not reported as such in the paper). Churchill et al. (1976) proposed that (in the case of Cu complexes), the step geometry is most favoured when large halogens or bulky organic ligands are present. Since $(p-\text{MeOC}_6\text{H}_4)_2\text{Te}X_2$ (X = Cl, Br, I) are isostructural, if that principle were applicable to these compounds it could be concluded that their core geometries are dictated by the size of the *p*-anisyl groups. However, it has been pointed out (Korp et al., 1980) that such an approach, based on size alone, may be too simplistic.

The Te...I secondary bonds span a wide range of distances [3.6922(6)-3.9017(7) Å], but even the longest values are significantly shorter than the sum of the van der Waals radii (4.03 Å; Bondi, 1964). Both extreme distances involve the Te2 atom of (Ib), which displays the most irregular environment (see below). If these values are excluded, the range of intermolecular Te...I distances narrows down considerably (ca 1.5 times). If the secondary interactions are taken into account, the environments about the Te atoms are distorted octahedra, with cis and trans angles in the ranges 75.77 (1)-103.24 (13) and 158.09 (12)-176.2 (2)°, respectively. As indicated above, the octahedron about Te2 of (lb) is the most distorted, particularly because of the coordination of I2ⁱ [symmetry code: (i) 1-x, 2-y, 1-z], which forms the extreme angles. Leaving aside these three values, the cis and trans angles are within 11° of the nominal values. In each Te_4I_8 core, the $I \cdots Te \cdots I$ angle within the middle plane is at least 5° larger than



Fig. 2. View of one of the tetramers in (Ib). Displacement ellipsoids are drawn at the 30% probability level.

that formed by the upper/lower Te atoms, because of the non-linearity of the I—Te—I moieties. As expected, the least-squares lines along the two independent I—Te—I groups of each Te₄I₈ core are nearly parallel [inter-line angles: 3.58(2) and $3.88(2)^{\circ}$ in (Ia), and $1.67(7)^{\circ}$ in (Ib)]. The angle between the two independent cores of (Ia) is $51.50(1)^{\circ}$, as measured by the dihedral angle between the middle planes.

Neither crystal structure displays significant $I \cdots I$ interactions, a fact which is consistent with the red colour of the crystals (Dewan & Silver, 1977; McCullough *et al.*, 1985, and references therein).

Polymorphism appears to be a relatively frequent phenomenon (Gavezzotti & Filippini, 1995, and references therein), not uncommon among organotellurium iodides, *e.g.* Me₂TeI₂ (Einstein *et al.*, 1967; Chan & Einstein, 1972), Ph₂TeI₂ (Alcock & Harrison, 1984), (C₈H₈)TeI₂ (McCullough *et al.*, 1985) and (*o*-PhC₆H₄)TeI₃ (Mc-Cullough & Knobler, 1976; McCullough, 1977). In the present study, the absence of significant structural differences between the two polymorphs is remarkable, which suggests that they have similar stabilities. Since the specimens of (Ia) and (Ib) are indistinguishable in colour and morphology, it is difficult to isolate each crystalline phase and to assess the relative amounts of these phases in the different crystallizations. To address this point, we tried to match the calculated powder patterns of (Ia) and (Ib) with experimental data from samples obtained from several solvents. The results were not totally conclusive, due to the complexity of the diffractograms, but seem to indicate that most solvents (e.g. acetone, acetonitrile, CHCl₃, DMSO, benzene, toluene, xylene) produce a mixture of both polymorphs. However, depending on as yet undetermined factors, in a few cases, we obtained crops which appeared to consist of a single crystalline phase (probably not 100% pure). For instance, two crystallizations, from acetone and acetonitrile, produced the polymorph (Ia) [m.p.'s 447.1(2) and 445.6(2) K, respectively], while another one, from AcOEt/EtOH, gave (Ib) [m.p. 443.1 (2) K]. The slightly higher values of D_x and melting point of (Ia) suggest that it could be the more stable polymorph. Furthermore, the powder data seem to indicate that in most crystallizations, (Ia) is the the most abundant phase.

Experimental

Several synthetic routes to the title compound have been reported (Lederer, 1916; Petragnani & de Moura Campos, 1961; Dorn *et al.*, 1976: Sadekov *et al.*, 1978, 1989; Sadekov & Maksimenko, 1981). The sample used in this work was prepared by the reaction of $(p-\text{MeOC}_6\text{H}_4)_2\text{Te}$ (Farran *et al.*, 1997) with iodine, as described by Lederer (1916). The specimens used in the X-ray analyses were obtained by slow

evaporation of solutions in DMSO/acetone for (Ia) and in xyl-ene for (Ib). Table 2. Contact distances (Å) and contact angles (°) for polymorph (Ia)

Polymorph (Ia)				Tel···I4	3.7353 (15)	Te3· · · 18	3.7962 (14)
Crystal data				$Te1 \cdot \cdot \cdot I3'$ $Te2 \cdot \cdot \cdot I2$	3.8355 (17)	$Te_{4} \cdots l8^n$	3.7373 (16)
$C_{14}H_{14}I_2O_2Te$		Mo $K\alpha$ radiation		Te2· · · I2'	3.7520 (16)	Te415"	3.7915 (17)
$M_r = 595.65$		$\lambda = 0.71069 \text{ A}$		$11 - \text{Te} 1 \cdot \cdot \cdot 14$	91.76 (3)	15-Te3···18	93.33 (2) 85.61 (2)
		Cell parameters fro	om 25	$12Te1 \cdot \cdot \cdot 14$	86.52 (3)	15—Te3···18	86.99 (3)
		reflections		12-Te1···I3'	82.99 (3)	I6—Te.3· · · I8 ⁿ	89.39 (3)
a = 11.822(4) A		$\theta = 11.5 - 13.4^{\circ}$		$14 \cdots Te 1 \cdots 13'$	85.47 (3)	18Te.318"	90.78 (3)
b = 14.812(5) A		$\mu = 5.285 \text{ mm}^{-1}$		$C11 - 1e1 \cdots 14$ $C11 - Te1 \cdots 13^{1}$	85.1 (2)	$C51 - 1e3 \cdots 18$ $C51 - Te3 \cdots 18^{n}$	82.8 (2)
c = 22.012(3) A		I = 295 (2) K		C21—Te1···14	175.69 (18)	C61—Te3···18	175.95 (19)
$\alpha = 75.57(2)^{\circ}$		$\begin{array}{c} \text{Keu} \\ 0.83 \times 0.55 \times 0.28 \text{ mm} \end{array}$		$C21$ —Te $1 \cdot \cdot \cdot 13^{1}$	92.6 (2)	C61—Te3···I8"	90.91 (19)
p = 73.40(2) $\sim - 67.38(3)^{\circ}$		$0.85 \times 0.55 \times 0.58$ mm		$13 - 1e^{2} + 12^{4}$ $13 - Te^{2} + 12^{4}$	93.68 (3) 85.94 (3)	$1/-1e4\cdots 16$ 17-Te415"	88.18 (3)
$V = 3459(2) Å^3$		1 115111		14-Te2···12	86.12 (3)	18—Te4···16	87.21 (3)
Z = 8				$I4 - Te2 \cdot \cdot \cdot I2^{\dagger}$	88.70 (3)	18Te415"	83.29 (3)
$D_x = 2.287 \text{ Mg m}^-$	- 3			$C31 - Te2 \cdot \cdot \cdot 12$	90.31 (3) 81.9 (2)	$C71 - Te4 \cdots 16$	85.39 (3) 91.2 (2)
D_m not measured				C31—Te2···I2'	171.7 (2)	C71—Te4···15"	171.92 (17)
				C41—Te2···12 C11—Te2···12	176.21 (18)	C81—Te4···l6	173.40 (18)
Data collection				C41—1e2···12	91.52 (19)	C81-1e415	88.02 (18)
Enraf–Nonius CAD diffractometer	0-4	9704 reflections with $l > 2\sigma(l)$		Symmetry codes: (i) $-x + 2$, $-y + 2$, $-z$; (ii) $-x + 3$, $-y + 2$, $-z - 1$.			
$\omega - 2\theta$ scans		$\theta_{\rm max} = 25.0^{\circ}$		Polymorph (Ib)			
Absorption correcti	on:	$h = -13 \rightarrow 14$		Crystal data			
empirical from ψ scans		$k = -16 \rightarrow 17$		$C_{14}H_{14}I_2O_2Te$		Mo Ka radiation	
$(10111 \ e1 \ a1., 1908)$ $T = 0.073 \ T = 0.134$		$l = 0 \rightarrow 20$		$M_r = 595.65$		$\lambda = 0.71069 \text{ Å}$	
$1_{\text{min}} = 0.075, T_{\text{max}} = 0.154$		frequency: 120 min		Triclinic		Cell parameters from 25	
12 133 independent		intensity decay: none				reflections	
reflections				a = 10.334 (1) A		$\theta = 11.6 - 14.0^{\circ}$	
				b = 13.091 (1) A		$\mu = 3.215 \text{ mm}$ T = 295 (2) K	
Refinement				$\alpha = 110.237 (7)^{\circ}$		7 – 295 (2) K Red	
Refinement on F^2		$(\Delta/\sigma)_{\rm max} = 0.002$		$\beta = 100.875 (6)^{\circ}$		$0.38 \times 0.20 \times 0$	18 mm
$R[F^2 > 2\sigma(F^2)] = 0.037$		$\Delta \rho_{\rm max} = 0.79 \ {\rm e} \ {\rm \AA}^{-3}$		$\gamma = 100.272 \ (8)^{\circ}$		Prism	
$wR(F^2) = 0.094$		$\Delta \rho_{\rm min} = -1.38 \text{ e } \text{\AA}^{-3}$		V = 1753.7 (2) Å ³			
S = 1.066		Extinction correction: none		Z = 4			
12 133 reflections		Scattering factors from		$D_x = 2.256 \text{ Mg m}^2$	- 3		
675 parameters	-	International Tables for		D_m not measured			
H atoms not refined	$\frac{1}{(276)^2}$	Crystallography	(Vol. C)	D			
$w = 1/[\sigma(F_o) + (0 + 13) + (0 + 13)]$	$(03/6P)^{-1}$			Data collection			
+ $15.027/P$] where $P = (F_0^2 + 2F_c^2)/3$				Enraf–Nonius CAD-4 diffractometer		4296 reflections with $L > 2\sigma(D)$	
				$\omega - 2\theta$ scans $\theta_{max} = 25.0^{\circ}$			
Table 1. Selected geometric parameters (A, °) for (Ia)) for (1a)	Absorption correction:		$h = -12 \rightarrow 11$		
Tel—II	2.8549 (10)	Te3—15	2.8894 (10)	empirical from y	b scans	$k = -15 \rightarrow 14$	
Te1	2.112 (7)	Te3-C51	2.9661 (11)	(North et al., 19	68)	$l = 0 \rightarrow 17$	
Tel—C21	2.116 (7)	Te3—C61	2.123 (7)	$T_{\rm min} = 0.218, T_{\rm m}$	ax = 0.391	3 standard reflect	ions
Te213 Te2 14	2.8990 (10)	Te4—17	2.8766 (11)	6165 measured ref	ections	frequency: 120	min
Te2—C31	2.115 (6)	Te4—C71	2.116 (7)	6165 independent i	reflections	intensity decay	: none
Te2C41	2.118 (7)	Te4C81	2.128 (6)	Pafinamant			
11—Te1—I2	176.41 (3)	15—Te3—I6	174.99 (2)				
11-1e1-C11 11-Te1-C21	91.7 (2) 92.2 (2)	15—Te3—C51 15—Te3—C61	92.1 (2)	Retinement on F^2	0.020	$(\Delta/\sigma)_{\rm max} = 0.002$	2
12—Te1—C11	91.3 (2)	16-Te3-C51	92.9 (2)	$K[F^2 > 2\sigma(F^2)] = 0.028$		$\Delta \rho_{\rm max} = 0.68 \text{ e A}^{-3}$	
12—Te1—C21	89.4 (2)	16—Te3—C61	89.4 (2)	$w\kappa(F^{-}) = 0.0/3$		$\Delta \rho_{\rm min} = -0.08 \ {\rm e \ A}$	
C11—101—C21 13—Te2—14	96.4 (3) 174.63 (2)	C51-1e3-C61 17-Te4-18	95.7 (3) 174.99 (2)	5 = 1.015 6165 reflections		Scattering factors	from
13Te2-C31	91.5 (2)	17—Te4—C71	92.8 (2)	347 parameters		International T	ahles for
13—Te2—C41	89.8 (2)	17-Te4-C81	92.2 (2)	H atoms not refine	đ	Crystallograph	v (Vol. C)
14—Te2—C31	93.8 (2) 90.5 (2)	10—104—071 18—Te4—081	89.2 (2) 92.1 (2)	$w = 1/[\sigma^2(F_a^2) + (0)]$	$(0.0408P)^2$,
C31-Te2-C41	96.6 (3)	C71-Te4-C81	95.3 (3)	where $P = (F_o^2)$	$+ 2F_c^2)/3$		

Te111	2.9063 (5)	Te2-13	2.8688 (5)
Te1-12	2.9232 (5)	Te2—14	2.9713 (5)
Te1—C11	2.107 (4)	Te2-C31	2.114 (4)
Te1-C21	2.111 (4)	Te2—C41	2.119 (4)
11-Te1-12	174.967 (15)	13-Te2-14	175.460 (13)
11-Te1-C11	91.95 (12)	13-Te2-C31	90.37 (12)
11-Te1-C21	91.15 (13)	13—Te2—C41	92.6 (1)
12—Te1—C11	90.81 (12)	C31—Te2—14	90.34 (12)
12 Te1 C21	92.76 (13)	C41—Te2—I4	91.72 (12)
C11—Te1—C21	95.8 (2)	C31—Te2—C41	97 9 (2)

Table 3. Selected geometric parameters (Å, °) for (Ib)

Table 4. Contact distances (Å) and contact angles (°) forpolymorph (lb)

3.6998 (5)	Te2···II	3.6922 (6)
3.7935 (6)	Te2···I2'	3.9017 (7)
84.42 (1)	I3—Te2· · · I1	95.57(1)
92.50(1)	I3—Te2· · ·I2'	92.99(1)
91.56(1)	I4—Te2· · · I1	83.68(1)
85.04(1)	$I4$ — $Te2 \cdot \cdot \cdot I2^{1}$	82.48(1)
98.02(1)	11 · · · Te2 · · · 12'	75.77(1)
86.3 (1)	C31—Te2···I1	174.01 (10)
174.09 (12)	$C31 - Te2 \cdot \cdot \cdot I2^{i}$	103.24 (13)
175.16(11)	C41—Te2···I1	82.61 (11)
80.19 (11)	$C41 - Te2 \cdot \cdot \cdot I2^{1}$	158.09 (12)
	3.6998 (5) 3.7935 (6) 84.42 (1) 92.50 (1) 91.56 (1) 85.04 (1) 98.02 (1) 86.3 (1) 174.09 (12) 175.16 (11) 80.19 (11)	$\begin{array}{llllllllllllllllllllllllllllllllllll$

Symmetry code: (i) -x + 1, -y + 2, -z + 1.

The title structures were solved by direct methods. H atoms were placed in calculated positions using a riding model with fixed C—H distances (0.93 Å for C_{sp^2} and 0.96 Å for C_{sp^3}) and $U_{1so} = pU_{eq}$ (parent atom) (p = 1.2 for C_{sp^2} and 1.5 for C_{sp^3}). A single orientation parameter was refined for each methyl group [except for C57 and C77 of (Ia)]. The methoxy groups attached to C54 and C74 of (Ia) were found to be disordered. Each one was split into two alternative positions, with complementary occupancies, and refined with $U_{iyo}(On) =$ $U_{iso}(On')$ and $U_{iso}(Cn7) = U_{iso}(Cn7')$ (n = 5, 7), and with restrained Cn4-On, On-Cn7 and Cn4-Cn7 distances, to give similar geometries to both parts. The final occupancy factors for the unprimed atoms were 0.53(1) in both cases. Powder data were measured using a Philips X'PERT-MPD System and Cu $K\alpha$ radiation. Simulated diffractograms were calculated with the POWDER CELL program (Kraus & Nolze, 1996). Melting points were measured by differential scanning calorimetry (DSC), using a Perkin-Elmer DSC7 instrument in continuous heating rate mode (20 K min⁻¹) under an argon atmosphere.

For both compounds, data collection: CAD-4 Software (Enraf-Nonius, 1989); cell refinement: CAD-4 Software; data reduction: CRYSTAN (Burzlaff et al., 1977); program(s) used to solve structures: SHELXS86 (Sheldrick, 1990); program(s) used to refine structures: SHELXL93 (Sheldrick, 1993); molecular graphics: ZORTEP (Zsolnai & Pritzkow, 1995) and PLUTON93 (Spek, 1993); software used to prepare material for publication: SHELXL93. Geometric calculations were performed using PARST95 (Nardelli, 1995) and PLATON94 (Spek, 1994).

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Supplementary data for this paper are available from the IUCr electronic archives (Reference: MU1363). Services for accessing these data are described at the back of the journal.

References

Alcock, N. W. (1972). Adv. Inorg. Chem. Radiochem. 15, 1-58.

- Alcock, N. W. (1990). Bonding and Structure. In Structural Principles in Inorganic and Organic Chemistry, pp. 195–199. New York: Ellis Horwood.
- Alcock, N. W. & Harrison, W. D. (1982). J. Chem. Soc. Dalton Trans. pp. 251–255.
- Alcock, N. W. & Harrison, W. D. (1984). J. Chem. Soc. Dalton Trans. pp. 869–875.
- Allen, F. H., Kennard, O., Watson, D. G., Brammer, L., Orpen, A. G. & Taylor, R. (1987). J. Chem. Soc. Perkin Trans. 2, pp. S1–19.
- Berry, F. J. & Edwards, A. J. (1980). J. Chem. Soc. Dalton Trans. pp. 2306–2308.
- Bird, P. H., Kumar, V. & Pant, B. C. (1980). Inorg. Chem. 19, 2487-2493.
- Bondi, A. (1964). J. Phys. Chem. 68, 441-451.
- Burzlaff, H., Böhme, R. & Gomm, M. (1977). CRYSTAN. A Crystallographic Program System for Minicomputers. University of Erlangen, Germany.
- Buss, B. & Krebs, B. (1971). Inorg. Chem. 10, 2795-2800.
- Chadha, R. K. & Drake, J. E. (1984). Acta Cryst. C40, 1349-1352.
- Chadha, R. K. & Drake, J. E. (1986). J. Organomet. Chem. 299, 331-339.
- Chadha, R. K., Drake, J. E. & Khan, M. A. (1983). Acta Cryst. C39, 45-48.
- Chadha, R. K., Drake, J. E., Khan, M. A. & Singh, G. (1984). J. Organomet. Chem. 260, 73-80.
- Chan, L. Y. Y. & Einstein, F. W. B. (1972). J. Chem. Soc. Dalton Trans. pp. 316-319.
- Christofferson, G. D. & McCullough, J. D. (1958). Acta Cryst. 11, 249-256.
- Churchill, M. R., Donahue, J. & Rotella, F. J. (1976). *Inorg. Chem.* **15**, 2752–2758.
- Dewan, J. C. & Silver, J. (1977). J. Organomet. Chem. 125, 125-139.
- Dorn, W. L., Knöchel, A., Schulz, P. & Klar, G. (1976). Z. Naturforsch. Teil B. 31, 1043–1047.
- Einstein, F., Trotter, J. & Williston, C. (1967). J. Chem. Soc. A, pp. 2018–2023.
- Enraf-Nonius (1989). CAD-4 Software. Version 5.0. Enraf-Nonius, Delft, The Netherlands.
- Farran, J., Alvarez-Larena, A., Capparelli, M. V., Piniella, J. F., Germain, G. & Torres-Castellanos, L. (1998). In preparation.
- Farran, J., Alvarez-Larena, A., Capparelli, M. V., Piniella, J. F. & Torres-Castellanos, L. (1998). In preparation.
- Farran, J., Alvarez-Larena, A., Piniella, J. F., Capparelli, M. V. & Torres-Castellanos, L. (1997). Acta Cryst. C53, 342-343.
- Farran, J., Alvarez-Larena, A., Piniella, J. F., Germain, G. & Torres-Castellanos, L. (1995). Acta Cryst. C51, 639-641.
- Gavezzotti, A. & Filippini, G. (1995). J. Am. Chem. Soc. 117, 12299-12305.
- Gillespie, R. J. (1961). Can. J. Chem. 39, 318-323.
- Gillespie, R. J. & Hargittai, I. (1991). *The VSEPR Model of Molecular Geometry*, pp. 133–147. Boston: Allyn & Bacon.
- Korp, J. D., Bernal, I., Turley, J. C. & Martin, G. E. (1980). Inorg. Chem. 19, 2556–2560.
- Kraus, W. & Nolze, G. (1996). J. Appl. Cryst. 29, 301-303.
- Lederer, K. (1916). Chem. Ber. 49, 1076-1082.

- McCullough, J. D. (1977). Inorg. Chem. 16, 2318-2321.
- McCullough, J. D. & Knobler, C. (1976). Inorg. Chem. 15, 2728-2731.
- McCullough, J. D., Knobler, C. & Ziolo, R. F. (1985). Inorg. Chem. 24, 1814–1818.
- McWhinnie, W. R. & Monsef-Mirzai, Z. (1983). Proceedings of the Fourth International Conference on the Organic Chemistry of Selenium and Tellurium Compounds, edited by F. J. Berry & W. R. McWhinnie, pp. 3-31. University of Aston in Birmingham, England.
- Mangion, M. M., Zingaro, R. A. & Meyers, E. A. (1975). Chem. Scr. 8A, 45–50.
- Nardelli, M. (1995). J. Appl. Cryst. 28, 659.
- North, A. C. T., Phillips, D. C. & Mathews, F. S. (1968). Acta Cryst. A24, 351–359.
- Petragnani, N. & de Moura Campos, M. (1961). Chem. Ber. 94, 1759-1762.
- Sadekov, I. D. & Maksimenko, A. A. (1981). Zh. Org. Khim. 17, 204–205.
- Sadekov, I. D., Maksimenko, A. A., Rivkin, B. B. & Minkin, V. I. (1989). Zh. Obshch. Khim. 59, 2015–2021.
- Sadekov, I. D., Usachev, A. I. & Minkin, V. I. (1978). Zh. Obshch. Khim. 48, 475–476.
- Sheldrick, G. M. (1990). Acta Cryst. A46, 467-473.
- Sheldrick, G. M. (1993). SHELXL93. Program for the Refinement of Crystal Structures. University of Göttingen, Germany.
- Shoemaker, C. B. & Abrahams, S. C. (1965). Acta Cryst. 18, 296.
- Spek, A. L. (1993). PLUTON93. Program for the Display and Analysis of Crystal and Molecular Structures. University of Utrecht, The Netherlands.
- Spek, A. L. (1994). PLATON94. Program for the Automated Analysis of Molecular Geometry. University of Utrecht. The Netherlands.
- Ziolo, R. F. & Troup, J. M. (1983). J. Am. Chem. Soc. 105, 229-235.
 Zsolnai, L. & Pritzkow, H. (1995). ZORTEP. ORTEP Program for Silicon Graphics. University of Heidelberg, Germany.

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3,4,4a,5,6,7,8,8a-Octahydro-8a-hydroxy-2-quinolone and its 8a-Hydroperoxy Derivative

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Abstract

The crystal structures of the title compounds, 3,4,4a,5,6,7,8,8a-octahydro-8a-hydroxy-2-quinolone [C₉H₁₅NO₂, (I)] and 3,4,4a,5,6,7,8,8a-octahydro-8a-hydroperoxy-2-quinolone [C₉H₁₅NO₃, (II)], show a *trans*- and a *cis*-fused-ring configuration, respectively, with the cyclohexane rings in a chair conformation in both compounds. In (I), the molecules are linked about 2_1

axes via intermolecular N—H···O hydrogen bonds, forming an infinite helix; further O—H···O interactions result in a two-dimensional hydrogen-bond network. In (II), the molecules form centrosymmetric dimers via pairwise N—H···O interactions, and these dimers are connected by O—H···O hydrogen bonds, giving infinite parallel chains.

Comment

Recently, we reported an efficient new procedure for the synthesis of 6-hydroxy-3,4,5,6-tetrahydro-2-pyridones and 6-hydroperoxy-3,4,5,6-tetrahydro-2-pyridones, by hydration-cyclization of δ -ketonitriles with basic hydrogen peroxide (Citterio *et al.*, 1997). The first class of compounds are useful intermediates in acyliminium chemistry (Murahashi *et al.*, 1993), whereas the latter are quite stable hydroperoxides. Applied to 2-(2-cyano-ethyl)cyclohexanone, this procedure affords compounds (I) and (II) as a mixture of the corresponding *cis* and *trans* isomers. The stereochemistry of (I) and (II) was



difficult to elucidate by NMR spectroscopy, and in order to confirm their identity and to determine the relative stereochemistry, an X-ray structural investigation was carried out on pure epimers obtained by selective crystallization. In both compounds, the cyclohexane ring adopts a chair conformation. The ring fusion in (I) is trans, with a torsion angle O2-C9-C10-H10 of $176.9(10)^{\circ}$ and with the hydroxy substituent in an axial position, which is the only conformation possible for this compound (Fig. 1). In (II), the two rings have a cisfused stereochemistry, with a torsion angle O2-C9-C10-H10 of 54.9 (12)° and the hydroperoxy group in an equatorial position. Within the piperidone rings of both compounds, the carbonyl and the N_{sp^2} groups are nearly coplanar [r.m.s. deviations are 0.045 and 0.021 Å for (I) and (II), respectively], with the C4 and C10 atoms lying below and above the least-squares mean planes, respectively. Bond distances and angles in both compounds are in agreement with the expected values, with the exception of the bond angles around atoms C9 and C10, where significant deviation from C_{sp^3} geometry is observed (Tables 1 and 3), probably due to the different ring junctions. The conformation around the C9-O2 bond is approximately gauche. The value of the torsion angles N-C9-O2-H2O for (I) and N-C9-O2-O3 for (II) are, respectively, -46.0(13) and $-57.31(16)^{\circ}$, slightly smaller than those reported for a similar structural motif (64-67°) in the