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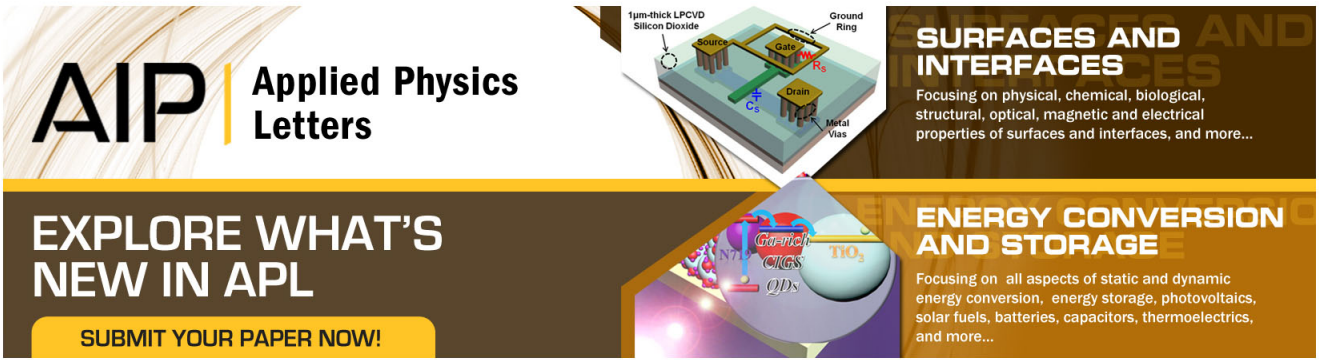

Large amplitude magnetization dynamics and the suppression of edge modes in a single nanomagnet

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Large amplitude magnetization dynamics of a single square nanomagnet have been studied by time-resolved Kerr microscopy. Experimental spectra revealed that only a single mode was excited for all bias field values. Micromagnetic simulations demonstrate that at larger pulsed field amplitudes the center mode dominates the dynamic response while the edge mode is almost completely suppressed. Controlled suppression of edge modes in a single nanomagnet has potential applications in the operation of nanoscale spin transfer torque oscillators and bistable switching devices for which the amplitude of the magnetization trajectory is often large and a more uniform dynamic response is desirable. © *2011 American Institute of Physics*. [doi:10.1063/1.3560457]

Large amplitude precessional magnetization dynamics of nanoscale ferromagnetic elements are expected to facilitate increased switching speeds in bistable magnetic storage elements and the operation of spin transfer torque oscillators. Most dynamical studies have been performed on arrays of nanomagnets[1,2] where interelement dipolar interactions can lead to collective excitations[3–6] while structural variations lead to inhomogeneous broadening.[2,5] These phenomena can be avoided by measuring a single nanomagnet.[7] Recently, cavity enhancement of the magneto-optical Kerr effect was used to study magnetization dynamics in single out-of-plane magnetized Ni(150 nm) disks with diameter ranging from 5 μm to 125 nm.[8] In Ref. 8 it was shown that the intrinsic properties of a single nanomagnet can no longer be observed when an ensemble of disks is measured.

The small amplitude dynamics of a square nanomagnet magnetized in-plane and along an edge is complicated by excitation of center- and edge-type modes.[1,5,9] The two modes coexist for a range of bias fields while maximum amplitude shifts from center to edge mode as the bias field is decreased.[5] Large amplitude excitation can significantly modify the spatial character.[10] In this work time-resolved (TR) measurements and micromagnetic simulations reveal that the large amplitude dynamics of a single nanomagnet can be dominated by the quasiuniform center mode, while the nonuniform edge mode is almost completely suppressed.

TR measurements were performed on a single 440 $\times$ 440 nm^2 CoFe(1 nm)/NiFe(5 nm)/CoFe(1 nm) nanomagnet. The dynamics were observed experimentally by TR scanning Kerr microscopy (TRSKM) with a ~300 nm full-width at half maximum spot and enhanced mechanical stability. The 440 nm square was fabricated on top of the center conductor of a microscale coplanar waveguide (CPW) used to generate an in-plane pulsed magnetic field from a 7 V current pulse of <40 ps rise time and 70 ps duration. The CPW track was tapered to 4 μm width at the sample to enhance the pulsed field amplitude and induce large amplitude dynamics. The pulsed field amplitude h_p was estimated to be ~90 Oe from the Karlquist equation.[11] TR measurements were performed for a range of bias fields $\boldsymbol{H}_B$ applied in-plane and along either the edge of the element perpendicular to $\boldsymbol{h}_p$, or along the element diagonal.

TR measurements (not shown) were also performed upon a 2 μm disk of the same composition for bias fields in the range $\pm$1 kOe applied parallel to the CPW and uniaxial anisotropy easy axis. A macrospin model was used to fit the precession frequency as a function of the bias field yielding values of the saturation magnetization M_s (789 emu/cm^3), g-factor (2.05), and uniaxial anisotropy constant K_u (4340 ergs/cm^3) that were used in micromagnetic simulations.

The simulations were performed using the object oriented micromagnetic framework (OOMMF).[12] A 440 nm square with rounded corners of radius 55 nm was modeled as a single layer using a mesh of cell size $4 \times 4 \times 7$ nm^3 and an exchange parameter of 13×10^{-7} ergs/cm. Simulations with smaller cell sizes did not show any significant differences. The dynamics were excited by a pulsed field of 70 ps duration, 30 ps rise time, and amplitude ranging from 5 to 100 Oe. Micromagnetic simulations of the 2 μm disk were in excellent agreement with the experimental data and macrospin fitting which confirmed the suitability of the material parameters for the simulations.

Figure 1 shows typical TR polar Kerr signals acquired from the square for H_B ranging from 500 to 100 Oe. In the parallel geometry [Fig. 1(a)], where $\boldsymbol{H}_B$ was applied along the edge of the square, only weak beating of some of the TR signals was observed, indicating that either the center or edge mode dominates the dynamic response. In the diagonal geometry [Fig. 1(b)], where $\boldsymbol{H}_B$ was applied along the diagonal the TR signals were found to exhibit enhanced damping and have smaller amplitude due to the smaller initial torque acting on the static magnetization.

Normalized fast Fourier transform (FFT) spectra of the TR signals are shown in Fig. 2. The experimental spectra (dark gray shading) are overlaid with spectra calculated from simulations (solid black line). A schematic of the simulated ground state is inset.[13] To understand the small amplitude

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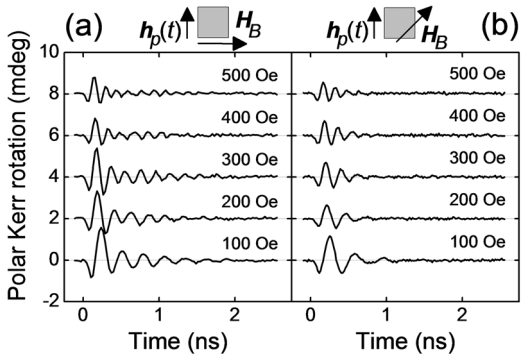

FIG. 1. TR signals acquired from the 440 nm square at different bias field values with the field applied along (a) the edge and (b) the diagonal.

response of the square, the values of the damping parameter α and pulsed field amplitude h_p were initially set to 0.01 and 30 Oe, respectively, while M_s and K_u were assumed to be uniform throughout the element.

In the parallel geometry [Fig. 2(a)] the experimental spectra show a single main peak at all field values. For H_B of 300 Oe and below, the simulated spectra are in very good agreement with the experimental spectra, albeit with a much narrower linewidth. Fourier images[14] calculated from the simulated dynamic magnetization[5] confirm that the lower and higher frequency modes are of edge- and center-type respectively and coexist with equal amplitude at a "crossover field" of 400 Oe. For H_B values from 400 to 700 Oe a discrepancy of ~1 GHz is seen between the frequencies of the center mode and the main experimental peak suggesting that the material parameters used in the simulations are not optimized.

In the diagonal geometry [Fig. 2(b)] the experimental spectra reveal a single broad peak that is consistent with the enhanced damping seen in Fig. 1(b). The frequency of the experimental peak was found to be consistently lower than that observed in the parallel geometry, and consistent with the different static internal fields in the simulations for the two geometries. Previous studies of dynamics in square elements of similar aspect ratio have also shown marked differences in dynamic behavior for the edge and diagonal cases.[15,16] Simulated spectra and Fourier images reveal at least two modes at all field values that are not resolved experimentally and correspond to a lower frequency center-type mode with large amplitude across the element diagonal

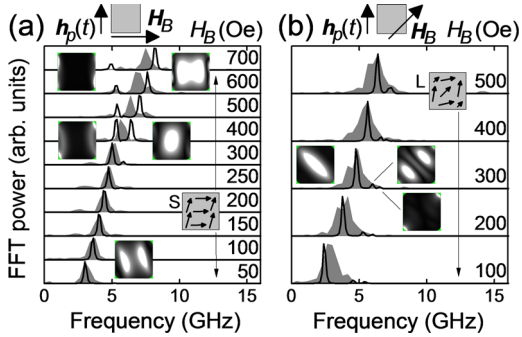

FIG. 2. (Color online) Experimental (gray shading) and simulated (black line) spectra for the (a) parallel and (b) diagonal geometries. Simulated spectra assume uniform M_s, α=0.01, and h_p=30 Oe. The spatial character of the modes is shown in images of FFT magnitude (inset). For all H_B the square was in the S- and leaf-state (L) in (a) and (b) respectively.

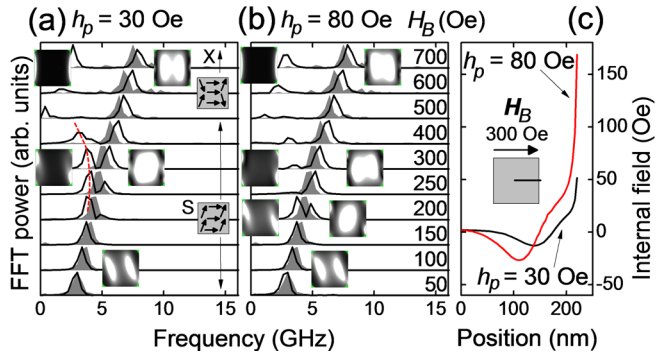

FIG. 3. (Color online) Experimental (gray shading) and simulated (black line) spectra for the parallel geometry. Simulated spectra assume reduced edge M_s, α=0.03, and h_p of 30 Oe (a) and 80 Oe (b). The spatial character of typical modes is shown in images of FFT magnitude (inset). The ground state is shown inset in (a) and changes from X to S as H_B is reduced below 600 Oe. Cross sections (see inset) of the difference in the internal field H_i between successive precession antinodes of opposite polarity are shown in (c) for h_p=30 and 80 Oe.

orthogonal to $\boldsymbol{H}_B$, and two higher frequency low amplitude modes localized near to the corners along $\boldsymbol{H}_B$.

In comparing experiment and simulation for the parallel geometry, the good agreement of the lower frequency edge mode and poor agreement of the higher frequency center mode is surprising. The edge mode frequency is more easily shifted and split by shape variations or edge roughness,[2,5] while the center mode frequency is dominated by the magnetic parameters of the material. Nanofabrication processes can lead to a reduction in M_s at the edges of a nanomagnet[17] that affects the evolution of its spin-wave modes.[18] Simulations assuming values M_s and K_u reduced $\times$0.8 resulted in a shift in the whole spectra so that the agreement at 300 Oe and below was less good.

An improvement in the overall agreement between experiment and simulation for all values of H_B was achieved by reducing M_s at the edge of the square by 20% using a two-dimensional profile of form $\cos^6(2\pi x/l)\cos^6(2\pi y/l)$, where l=440 nm and x,y are the spatial coordinates. The value of α was adjusted so that the simulations reproduced the relaxation observed in the experiment, yielding values of 0.03 and 0.05 for the parallel and diagonal cases, respectively. Furthermore, the value of h_p was varied from 5 to 100 Oe in the simulations to understand its effect.[19]

Figure 3 shows experimental spectra acquired in the parallel geometry overlaid with simulated spectra for the square with reduced edge M_s and α=0.03. In Figs. 3(a) and 3(b) the value of h_p was 30 Oe and 80 Oe, respectively. In Fig. 3(a) the simulated center mode and the experimental spectra are in better agreement between 700 and 200 Oe (now within ~500 MHz), while the edge mode is still in good agreement below 200 Oe. Further quantitative improvement might be achieved by tuning the profile of M_s. The crossover field has shifted from 400 to 300 Oe while the experimental linewidth is reproduced by the larger value of α. However, at 200 Oe the simulated frequency of the edge mode begins to shift from that of the experimental spectra as H_B increases (dashed line). In Fig. 3(b) simulated spectra for h_p=80 Oe reveal a remarkable suppression of the edge mode amplitude between 400 and 250 Oe and improved agreement with the experimental spectra. Furthermore, the crossover field has now shifted to 200 Oe indicating that for larger values of h_p the

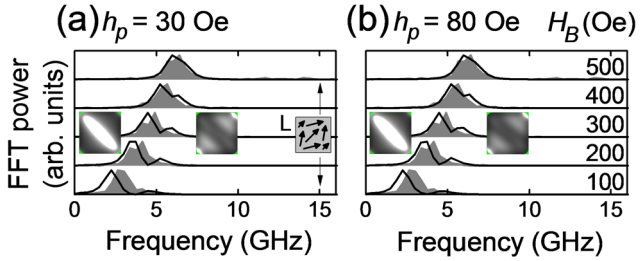

FIG. 4. (Color online) Experimental (gray shading) and simulated (black line) spectra are shown for the diagonal geometry. Simulated spectra assume reduced edge M_s, α=0.05, and h_p of 30 Oe (a) and 80 Oe (b). The character of the modes is shown in images of FFT magnitude (inset) for the leaf state (L).

excitation of the center mode is favored at lower H_B values. The onset of edge mode suppression can be observed in the simulated spectra for a h_p value as small as 10 Oe.[19]

Since the laser spot size is smaller than the square highly localized edge modes in the simulations at large H_B (e.g., 2.75 GHz at 700 Oe) are probed by the Gaussian tail of the optical probe. Therefore, sensitivity to edge modes for $H_B > 500$ Oe is diminished so that they were not observed experimentally. The simulations also reveal instability of the ground state following the onset of the pulsed field resulting in variations in both the frequency and amplitude of the edge mode for $H_B > 500$ Oe as the value of h_p was increased.[19] For H_B smaller than 500 Oe but greater than the crossover field the edge mode extends more toward the central region of the element where it is more readily detected. However, weaker coupling of the edge mode to the large amplitude field[10] and modification of the internal magnetic field H_i lead to the suppression of the edge mode. Cross sections of the component of H_i parallel to $\boldsymbol{H}_B$ were extracted from the simulations at H_B=300 Oe for precession antinodes of opposite polarity. The difference in H_i is shown in Fig. 3(c) for h_p=30 and 80 Oe. For h_p=80 Oe the large amplitude excitation of the center mode leads to a greater modification to H_i in the region of the edge mode than for h_p=30 Oe. Therefore, the nonuniform profile of H_i that gives rise to edge mode localization is continuously modified due to precession associated with the center mode and no longer supports the edge mode.

Figure 4 shows the experimental spectra acquired in the diagonal geometry overlaid with simulated spectra for the square with reduced edge M_s and α=0.05. In Figs. 4(a) and 4(b) the value of h_p was 30 Oe and 80 Oe, respectively. Remarkably, the pulsed field amplitude has a negligible effect upon the spectra since H_i is more resistant to modification in the leaf state.[13] Fourier images reveal that the higher frequency mode is highly localized and may not be observed experimentally.

A possible explanation for the observed differences in the linewidth and the deduced values of α in the parallel and diagonal geometries may involve magnon–magnon scattering, which is not included in the micromagnetic model. In this work, only modes that couple strongly to a uniform pulsed field are excited and detected. However, square nanomagnets can support a large number of asymmetric modes of similar frequency[5] that offer many channels for dissipation via magnon–magnon scattering. The efficiency of such scattering depends upon the ground state, the internal field, and the frequencies of the modes,[20] and therefore leads to differences in the relaxation for the parallel and diagonal geometries.

In summary TRSKM measurements of large amplitude magnetization dynamics within a single nanomagnet have been performed with excellent signal-to-noise ratio. Quantitative agreement between experimental and simulated spectra was found to depend upon the profile of M_s throughout the element while variations in the damping imply that the micromagnetic model does not fully describe the relaxation of the dynamics. Such effects would be difficult to isolate in closely packed arrays. As device volumes decrease a larger amplitude excitation is required to generate a detectable signal. This work shows that a large amplitude excitation can modify the character of the resonant mode spectra in addition to the magnetic ground state and yield a more uniform dynamic response.

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